

1 On the choice of outlet boundary conditions for patient-specific analysis of aortic flow using
2 computational fluid dynamics

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13

14 **ABSTRACT**

15 Boundary conditions (BCs) are an essential part in computational fluid dynamics (CFD)
16 simulations of blood flow in large arteries. Although several studies have investigated the
17 influence of BCs on predicted flow patterns and hemodynamic wall parameters in various
18 arterial models, there is a lack of comprehensive assessment of outlet BCs for patient-specific
19 analysis of aortic flow. In this study, five different sets of outlet BCs were tested and
20 compared using a subject-specific model of a normal aorta. Phase-contrast magnetic
21 resonance imaging (PC-MRI) was performed on the same subject and velocity profiles
22 extracted from the *in vivo* measurements were used as the inlet boundary condition.
23 Computational results obtained with different outlet BCs were assessed in terms of their
24 agreement with the PC-MRI velocity data and key hemodynamic parameters, such as
25 pressure and flow waveforms and wall shear stress related indices. Our results showed that
26 the best overall performance was achieved by using a well-tuned three-element Windkessel
27 model at all model outlets, which not only gave a good agreement with *in vivo* flow data, but
28 also produced physiological pressure waveforms and values. On the other hand, opening
29 outlet BCs with zero pressure at multiple outlets failed to reproduce any physiologically
30 relevant flow and pressure features.

31

32 **Keywords:** *Computational fluid dynamics (CFD), boundary conditions, Windkessel model,*
33 *patient-specific simulation, hemodynamics, aorta*

34

35 **Introduction**

36 3D patient-specific computational models can provide valuable insights into hemodynamic
37 and biomechanical conditions in the cardiovascular system. However, 3D modelling of the
38 whole vascular tree is time-consuming and requires high computational costs. Therefore,
39 computational simulations are commonly performed on specific regions of interest, e.g. the
40 aorta or its segments. The excluded sections of the cardiovascular system must then be taken
41 into account by exploiting model boundary conditions (BCs), which are a key part in the
42 development of effective computational fluid dynamics (CFD) and fluid structure interaction
43 (FSI) models. The importance of realistic BCs has already been highlighted in several studies
44 (Morbiducci et al 2010; Morbiducci et al 2013; Gallo et al. 2012; Campbell et al., 2012),
45 which showed that different BCs could lead to quantitative differences in the resulting flow
46 rates, velocity fields and wall shear stress (WSS).

47

48 The choice of outlet BCs is of particular importance and different outlet BCs have been
49 adopted in an attempt to better reproduce *in vivo* hemodynamic conditions in the
50 cardiovascular system. Despite their recognised importance (Augst et al., 2003; Gallo et al.,
51 2012; Morbiducci et al., 2010; Van der Giessen et al., 2011; Vignon-Clementel et al., 2006),
52 only a few studies have compared the commonly used outlet BCs for aortic CFD models.
53 Gallo et al. (2012) studied the influence of outflow BCs derived from phase-contrast
54 magnetic resonance imaging (PC-MRI) data on predicted flow distributions and wall shear
55 stress (WSS), demonstrating the importance of using patient-specific instantaneous flow rate
56 distribution. However, this work did not include Windkessel-based outlet BCs which describe
57 the pressure-flow relationship at each outlet.

58

59 Morbiducci and colleagues (2010) compared outflow and Windkessel BCs in a subject-
60 specific model of the carotid bifurcation. By comparing CFD results obtained with three
61 different fixed flow divisions and Windkessel model at the outlets, they showed that
62 Windkessel-based outlet BC was able to reproduce realistic flow conditions. This is
63 important in the development of effective BCs, especially because a complete set of patient-
64 specific instantaneous flow data may not always be available. Different outlet BCs have been
65 used in aortic models, mostly depending on the data availability, which always represents a
66 challenge for patient-specific simulations. In the present study, we aim to quantify the
67 influence of different types of outlet BCs on aortic hemodynamics assessment. For this
68 purpose, a patient-specific model of a healthy human aorta was employed together with five
69 sets of the most commonly used outlet BCs, including Windkessel model, fixed flow
70 division, patient-specific pressure waveform and zero pressure. Comparisons were made for
71 aortic flow and velocity distribution, pressure waveforms, and wall shear stress related
72 indices.

73

74 **Materials and Methods**

75 MRI of a healthy volunteer was performed in the Robert Steiner MRI facility at
76 Hammersmith Hospital (London, UK) on a 1.5T Philips Achieva system (Best, Netherlands).
77 Three-dimensional (3D) bright-blood angiographic images of the thoracic aorta and proximal
78 vessels were acquired using a navigator-gated balanced steady-state free precession sequence
79 (voxel size $0.5 \times 0.5 \times 2$ mm). PC-MRI flow mapping planes were placed at the level of the
80 aortic annulus and pulmonary bifurcation, normal to the aortic axis with 3D velocity
81 encoding (VENC) gradients. VENC parameters were set 10% above the peak velocity for
82 each velocity component. In-plane voxel size was 1.4×1.4 mm with a slice thickness of 10
83 mm. Retrospective cardiac gating was used and 100 time points reconstructed throughout the

84 cardiac cycle. A central pressure measurement was performed 30 min prior to MRI using a
85 BP Plus device (BP Plus, Uscom, Australia). This device estimates the central aortic pressure
86 from the brachial cuff pressure: pressure wave reflection is used to reconstruct the central
87 pressure waveform from the intra-arterial pressure oscillations according to a physics-based
88 model (Lowe et al., 2009; Park et al., 2014). The volunteer did not have a medical history of
89 cardiovascular diseases and gave his informed consent.

90

91 Patient-specific 3D aortic geometry, inclusive of the three supra-aortic vessels, was
92 reconstructed from the acquired MR images using Mimics (v18, Materialise, Leuven,
93 Belgium). Four structured meshes, consisting of 0.98 - 1.8 million hexahedral elements, were
94 generated with ANSYS ICEM (v15.0, ANSYS Inc., Canonsburg, PA). These meshes were
95 tested as part of a sensitivity analysis, and the chosen mesh (with ~1.5 million elements)
96 differed from the finer mesh in the predicted maximum and minimum WSS by less than 1.5%
97 and 1%, respectively.

98

99 The model inlet was located in the aortic root at the level of the PC-MRI flow mapping plane.
100 PC-MR images were segmented using in-house MATLAB code and mapped to the 3D global
101 coordinates of the model inlet by means of a coordinate transfer matrix (Cheng et al., 2016).
102 3D time-varying velocity profiles were derived and all three velocity components were
103 imposed at the inlet. Fig. 1 shows the reconstructed aorta, the acquired pressure waveform
104 and the 3D velocity profiles applied at the model inlet.

105

106 Table 1 shows the five different sets of boundary conditions specified at the model outlets,
107 consisting of the arch branches (brachiocephalic artery, BCA; left common carotid artery,
108 LCCA; left subclavian artery, LSA) and the aortic outlet, which is located in the descending

109 aorta (DAo) at the level of the diaphragm. The 3-element Windkessel model (3-EWM) was
110 included as it accounts for the influence of the vasculature distal to the model geometry. In 3-
111 EWM the downstream vessels are represented by means of a proximal (or characteristic)
112 resistance (R_1), a compliance (C) and a distal resistance (R_2), with a terminal (or total)
113 resistance that can be approximated as $R_t = R_1 + R_2$ (La Disa et al., 2011). The terminal
114 resistance was calculated as $R_t = \bar{P}/\bar{Q}$ (Les et al., 2010), where \bar{P} is the mean pressure,
115 evaluated from the acquired blood pressure waveform, and \bar{Q} is the mean flow rate through
116 each outlet. The proximal resistance was obtained as $R_1 = \rho c/A$ (Xiao et al., 2014), where c
117 is the pulse wave speed in [m/s]. This was derived using the empirical correlation proposed
118 by Reymond et al. (2009): $c = a_2/(2r)^{b_2}$, where $a_2 = 13.3$; $b_2 = 0.3$, and r is the vessel
119 radius, in [mm], of the considered outlet. The distal resistance R_2 was then obtained as the
120 difference between the terminal and the proximal resistances. The total compliance was
121 calculated in accordance with Xiao et al. (2014) as $C = \tau/R_t$, where $\tau = 1.79$ s is the time-
122 constant of the exponential pressure-fall during diastole. Table 2 reports the calculated values
123 of compliance and resistance for all the four outlets of the model.

124

125 For OBC3 and OBC4, mass flow waveforms were applied at the branches, based on a fixed
126 flow-split which was obtained as follows: (i) The total amount of flow leaving the aorta
127 through the three branches was calculated as the difference of the measured flow rates at the
128 imaging planes positioned in the ascending and descending aorta; (ii) The amount of flow
129 going into each branch was then calculated according to the relative cross-sectional areas
130 (Zamir et al., 1992; Cheng et al., 2016). Flow rates, expressed as percentages of the inlet
131 flow, were 11.6%, 4.7%, 3.6% and 80.1% for BCA, LCCA, LSC and DAo, respectively. The
132 acquired patient-specific pressure waveform was reconstructed and imposed using a 20-
133 coefficient Fourier function.

134

135 Numerical solutions were obtained using ANSYS CFX (v15.0, ANSYS, Canonsburg, PA,
136 USA). A high-order advection scheme was adopted for spatial discretisation of the Navier–
137 Stokes equations and a second-order implicit backward Euler scheme was chosen for
138 temporal discretisation, with a fixed time-step of 1 ms. The maximum RMS residual was set
139 to 10^{-5} as a convergence criterion. Flow was assumed to be laminar and blood was considered
140 as a Newtonian fluid, with viscosity of $4 \cdot 10^{-3}$ Pa·s and a density of 1060 kg/m^3 . Each
141 simulation continued until a converged cyclic solution was reached, which required four
142 cardiac cycles, and only the last cycle was used for further analysis. Time-averaged wall
143 shear stress (TAWSS) and oscillatory shear index (OSI) maps were obtained using CEI
144 Enight (v10.1, CEI Inc., Apex, NC, USA).

145

146 **Results**

147 *Comparison with PC-MRI data*

148 The imaging plane located in the descending aorta was used for comparison purposes. Fig. 2
149 shows colour-coded axial velocity contours at the cross-sectional plane in the descending
150 aorta. Three time points were selected to compare PC-MRI and computed velocity contours:
151 T1, mid-systolic acceleration; T2, peak systole, and T3 mid-systolic deceleration. No
152 comparison was made in diastole as the patch-wise nature of PC-MRI acquisition is
153 amplified, due to the relatively lower velocities, making the comparison less reliable (Cheng
154 et al, 2014).

155

156 Overall, results obtained with all OBCs show a main flow direction from superior to inferior
157 (positive velocity values), in agreement with the PC-MR images. At mid-systolic acceleration

158 (T1), only OBC1 correctly captured the high velocity in the central-anterior side of the aorta.
159 The pattern of PC-MRI velocity contours suggested the presence of secondary flow,
160 particularly in the posterior region, and this pattern was only reproduced in the simulation
161 results with OBC1 and, to a lesser extent, OBC2. OBC3-5 failed in this respect: OBC3 and
162 OBC4 produced fairly uniform velocity profiles, while OBC5, despite presenting a more
163 complex structure, did not capture the pattern seen in PC-MRI. At peak systole (T2), PC-MRI
164 data showed a uniform velocity profile, which was well represented by all simulation results,
165 except that with OBC5, which predicted lower velocity values. At mid-systolic deceleration
166 (T3), a vortical structure can be noted at the left-anterior side. This feature was captured by
167 all simulations, with OBC1-3 showing better agreement.

168

169 Quantitative comparisons of the flow rate results are shown in Fig. 3 for peak and mean flows
170 and flow distributions among the four outlets. An overall tendency to overestimate the flow
171 rate can be observed. While mean flow rates were very well predicted with all except OBC5,
172 differences in peak flow rates were much larger. With regard to flow division among the
173 outlets, OBC1-4 correctly reproduced the desired flow distribution, while OBC5 significantly
174 underestimated the amount of flow exiting through the arch branches.

175

176 Further comparisons were made for the maximum velocity at the three selected time-points,
177 as shown in Fig. 4. At T1 all simulations underestimated the maximum velocity value, with
178 OBC4 presenting the best agreement (-8%) and OBC5 the worst (-52%). At T2, OBC1-4
179 overestimated the velocity values, while OBC5 showed an underestimation. The best
180 agreements were found with OBC1 and 3, while OBC2 and OBC4-5 presented a similar level
181 of absolute errors (+28%, +26%, -28%). At T3 OBC1 correctly captured the maximum

182 velocity, showing a percentage difference lower than 0.1%. OBC2 presented the second best
183 agreement (+3%), while OBC5 gave the worst agreement.

184

185 *Pressure*

186 Fig. 5 shows the computed aortic pressure waveforms at the inlet, together with the
187 corresponding diastolic and systolic pressures, and the mean pressure (in brackets). OBC1-3
188 presented pressure values which are in agreement with the suggested pressure range for a
189 healthy subject (Nichols, 2011), whereas OBC4 and 5 produced unrealistic values. In all
190 cases a transient dip can be seen at about 0.3 seconds. This corresponds to the dicrotic notch,
191 representing the closure of the aortic valve. However, only OBC1 captured a realistic
192 pressure waveform.

193

194 *Wall Shear Stress*

195 Fig. 6 shows the TAWSS results for each case. In addition, maps of absolute differences for
196 OBC2-5 compared to the reference case (OBC1) are also presented. OBC1-4 produced
197 similar patterns and values of maximum TAWSS, with an absolute difference in maximum
198 TAWSS being less than 0.1 Pa. In general, regions of relatively high TAWSS were located at
199 the model inlet, branch roots and along the inner bend of the distal aortic arch. Although the
200 same pattern was obtained with OBC5, it produced much higher values of TAWSS in the
201 three branches, where a maximum value of 9.3 Pa was reached (compared to the maximum of
202 4.3 Pa with OBC1-4). Regions of relative low TAWSS were found in the aortic arch with all
203 OBCs, especially in the left and posterior sides of the distal aortic arch. OBC1-4 also
204 displayed low TAWSS at the root of the BCA in the anterior side. All cases showed lower
205 TAWSS in the DAo than in the AAo.

206

207 Quantitative differences can be seen more clearly from the local absolute differences
208 displayed in the lower panel in Fig. 6. The best agreement with the reference case (OBC1)
209 was achieved with OBC3 and OBC4, presenting an absolute difference less than 0.3 Pa.
210 OBC2 showed more notable differences in the distal aortic arch and the distal segment of
211 DAo, but the worst agreement in TAWSS was found with OBC5, presenting large differences
212 in the DAo and in the arch branches. Overall, all simulations produced a good agreement in
213 the ascending aorta.

214

215 The OSI results shown in Fig. 7 revealed that the maximum value of 0.5 was present in all
216 cases, with a wide region of high OSI (0.4-0.5) extending from the posterior side of the aortic
217 root to the proximal right side of the aortic arch at the BCA root. High OSI was also noted at
218 the supra-aortic branches and branch roots, and in the posterior and anterior sides of the
219 proximal and distal DAo. OSI values were similar in the aortic arch with all OBCs, while
220 some moderate differences (with respect to OBC1) were found in the aortic arch and the roots
221 of arch branches. The most notable differences were observed with OBC5 where large
222 differences occurred mainly in the arch branches and in the DAo. Comparisons of all the
223 cases revealed that OBC5 was the worst performer with which OSI was underestimated in the
224 descending aorta and overestimated in the aortic branches.

225

226 **Discussion**

227 Choosing appropriate boundary conditions is an important step in setting up a credible CFD
228 model. Outlet boundary conditions are as important as inlet boundary conditions; and both
229 can strongly influence the obtained flow patterns and hemodynamic parameters (Gallo et al.
230 2012; Morbiducci et al 2010; Morbiducci et al 2013). However, there is a lack of systematic
231 study comparing the most commonly used OBCs for patient-specific modelling of blood flow

232 in the aorta. Gallo et al. (2012) examined different boundary conditions using a realistic
233 aortic model and highlighted the influence of outflows on the predicted results, but they did
234 not include Windkessel-based OBC; the latter has been shown to be capable of reproducing
235 realistic flow conditions in the carotid arteries (Morbiducci et al., 2010). In this study we
236 compared five different sets of OBCs for CFD simulation of flow in a normal aorta
237 reconstructed from MR images. Detailed comparisons were made of flow rate through branch
238 vessels, peak velocity, pressure waveform, as well as WSS related indices. In addition, PC-
239 MRI velocity maps were processed and compared with the simulation results. To eliminate
240 the influence of inlet boundary conditions, subject-specific 3D time-varying velocity profiles
241 were imposed at the model inlet in all simulations.

242

243 The five sets of OBCs included in this study were chosen with a decreasing amount of data
244 necessary to set up a patient-specific simulation. For OBC1 a 3-EWM was adopted at all the
245 model outlets, which required estimation of the model parameters (proximal and distal
246 resistances, R_1 , R_2 ; compliance, C), along with information about the flow through each
247 outlet. In OBC2, 3-EWM was applied at the aortic branches, while the patient-specific
248 pressure was applied at the aortic outlet. In OBC3 and OBC4, flow rates were imposed at the
249 aortic branches, while the patient pressure waveform and zero-pressure were imposed at the
250 descending aorta, respectively. These OBCs were commonly used in previous studies (e.g.
251 Tan et al., 2012; Cheng et al., 2016). For OBC5, zero-pressure was imposed at all the model
252 outlets, representing the simplest outlet boundary condition.

253

254 Comparisons of flow rate and flow distributions (Fig. 3) showed that Windkessel-based
255 methods (OBC1 and OBC2) were able to maintain the expected flow split as specified in
256 OBC3 and OBC4. However, the zero-pressure outlet condition (OBC5) failed to produce the

257 desired flow rate and flow distribution. With OBC1-4 a good agreement was achieved
258 between the predicted and PC-MRI measured mean flow in the DAo, although the peak flow
259 value was overestimated with all four OBCs. This can be ascribed to several factors, most
260 likely errors involved in the segmentation of lumen contours from PC-MR images, limited
261 spatial resolution, noise and artefacts of the images, along with the rigid wall assumption. As
262 for velocity data (Figs. 2 and 4), it can be argued that OBC1 and OBC2 presented the best
263 overall agreement in velocity contours, but quantitative differences in peak velocities were
264 large with all OBCs. With regard to pressure, while physiological pressure values were
265 obtained with OBC1-3, only OBC1 produced a realistic shape of the pressure waveform (Fig.
266 5).

267

268 The analysis of TAWSS (Fig. 6) highlighted that results obtained with OBC1-4 were
269 qualitatively similar with relatively small quantitative differences, because these four cases
270 had similar mean flow rate and similar flow distribution among the branches. When
271 compared with the reference case (OBC1), local differences were mainly observed in the
272 distal aortic arch, distal DAo and in the supra-aortic branches, with OBC2 displaying more
273 notable differences than OBC3 and OBC4. The fact that results obtained with OBC3 and
274 OBC4 were almost identical suggested that TAWSS and OSI in the aorta were not sensitive
275 to the exact pressure value specified at the DAo outlet. However, OBC5 showed distinctively
276 different results, with a peak TAWSS more than doubled (+116%) compared to the other
277 cases. This was due to the dramatically different flow distribution among the branches as a
278 result of the zero-pressure BC at all outlets. Not surprisingly, OBC5 also had a distinctly
279 different OSI pattern. While absolute differences in OSI did not appear to be significant with
280 OBC2-4, notable differences could be seen in areas where TAWSS was low, suggesting that
281 low shear regions (i.e. potential atheroprone regions) would be subject to larger uncertainty

282 for the evaluation of OSI. One such area was located at the level of the supra-aortic branches,
283 which is known to be prone to vascular pathologies (Mohamied et al., 2015); it is therefore
284 important to be aware of the non-negligible influences of OBCs on the evaluated WSS and
285 OSI in these regions.

286

287 Limited data availability is a common issue for patient-specific simulations of flow in the
288 aorta. It is, therefore, important to be able to optimise the use of available clinical data and to
289 assess the level of agreement that can be achieved with *in vivo* measurements. In this paper,
290 we have shown how simulation results can be influenced by different combinations of OBCs
291 based on commonly available clinical data. This comparative study can serve as a useful
292 reference for future choices of OBCs. Overall, simulation results obtained with OBC1
293 showed the best agreement with *in vivo* data, along with the most physiological pressure
294 waveforms and values. A good agreement was also obtained with OBC3, but no apparent
295 advantage was noticed with OBC2 which combined 3-EWM with patient-specific pressure
296 waveform. While our results suggest that Windkessel OBCs should be preferred for patient-
297 specific simulations of aortic flow, it must be noted that more complex lumped parameter
298 boundary conditions also exist and have been used for closed-loop modelling (Kim et al.,
299 2010; Kung et al., 2013; Baretta et al., 2011; Pant et al., 2014). Closed-loop models have the
300 advantage of accounting for the entire circulatory system, including the heart and the
301 pulmonary circulation, but they require even more patient data for estimation of model
302 parameters or more sophisticated tuning method (Pant et al., 2014). In addition, closed-loop
303 models do not allow for the imposition of patient-specific time-varying velocity profile at
304 model inlet. On balance, we believe that the combination of Windkessel OBCs and image-
305 based 3D CFD models provides a practical and physiologically valid solution to quantitative
306 analysis of blood flow in patient-specific settings. Moreover, Windkessel type OBCs can be

307 very useful for predictive modelling aimed at evaluating the hemodynamic performance of
308 surgical or interventional procedures when post-operative pressure or flow are unknown
309 (Baretta et al., 2011; Kung et al., 2013; Pant et al., 2014).

310

311 The CFD model employed in this study involved several assumptions which should be noted.
312 First, the aortic wall was assumed as rigid. As a result, quantitative comparisons between the
313 predicted and PC-MR measured velocities were limited by the fact that the aortic lumen
314 expands and contracts during a cardiac cycle, whereas the CFD model assumed a fixed lumen
315 area. Second, the flow split between the aortic branches was based on the cross-sectional area
316 of each branch. This is not entirely true as flow leaving the arch branches would also depend
317 on the oxygen demand of the downstream tissues, which is patient-specific and should be
318 obtained by PC-MRI in future studies. Finally, the acquired pressure waveform was obtained
319 non-invasively, and despite being representative of the subject's central pressure,
320 uncertainties might have been introduced when synchronising the pressure with MRI-based
321 flow waveform. In addition, pressure differences between the model inlet and outlets were
322 assumed to be negligible.

323

324 **Conclusions**

325 This study confirmed that the choice of outlet boundary conditions can have a profound
326 impact on the evaluation of aortic hemodynamics. Overall, our results show that even with a
327 limited amount of patient-specific data, a good agreement can be achieved with *in vivo*
328 hemodynamics by using Windkessel-based OBCs. Furthermore, it has been shown that
329 Windkessel-based outlet boundary conditions (3-EWM) can also reproduce physiological

330 aortic pressure waveforms, and should be used as the preferred outlet boundary condition for
331 open-loop modelling of aortic flow with multiple outlets.

332

333 **Conflict of Interest Statement**

334 All authors have no personal nor financial relationships with organisation or people that
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434

435 Figure 1: 3D reconstruction of the aorta, together with the PC-MRI flow mapping planes.
436 Acquired central pressure waveform and snapshots of 3D velocity profiles applied at the
437 model inlet. The corresponding time points are defined along a flow waveform shown at the
438 bottom right corner.

439

440 Figure 2: Comparison of the axial velocity contours at a location in the descending aorta
441 where PC-MR flow mapping was acquired. Comparisons are made at mid-systolic
442 acceleration (T1, top row), peak systole (T2, middle row), and mid-systolic deceleration (T3,
443 bottom row). Positive values indicate flow in the head-foot direction. Secondary velocity
444 vectors are superimposed on the velocity contours to show vortical motion.

445

446 Figure 3: Top: Comparison of mean (bars) and peak (stars) flow rates at a location in the
447 descending aorta between PC-MRI measurements and simulation results obtained with the
448 five sets of OBCs. Bottom: Mean flow distribution among the four outlets, expressed as a
449 percentage of the inlet flow. DAo: descending aorta, BCA: brachiocephalic artery, LCCA:
450 left common carotid artery, LSCA: left subclavian artery.

451

452 Figure 4: Maximum velocity values derived from PC-MRI data and from simulation results
453 obtained with the five sets of OBCs at three different time-points. T1, T2 and T3 are defined
454 in Fig. 1. Percentage differences with respect to the PC-MRI data are reported, with red
455 colour highlighting the best result for each time-point.

456

457 Figure 5: Computed aortic pressure waveforms. For each case diastolic, systolic and mean (in
458 brackets) pressures are reported at the top right corner.

459

460 Figure 6: Top: Time-averaged wall shear stress (TAWSS) results obtained with the five sets
461 of OBCs. Bottom: local absolute differences in TAWSS as compared to results obtained with
462 OBC1.

463

464 Figure 7: Top: Oscillatory shear index (OSI) results obtained with the five sets of OBCs.
465 Bottom: local absolute differences in OSI as compared to results obtained with OBC1.

466

467 Table 1: Different sets of boundary conditions specified at the model inlet and outlets. The
 468 model outlets are located at the arch branches (AoB) and in the descending aorta (DAo), at
 469 the level of the diaphragm.

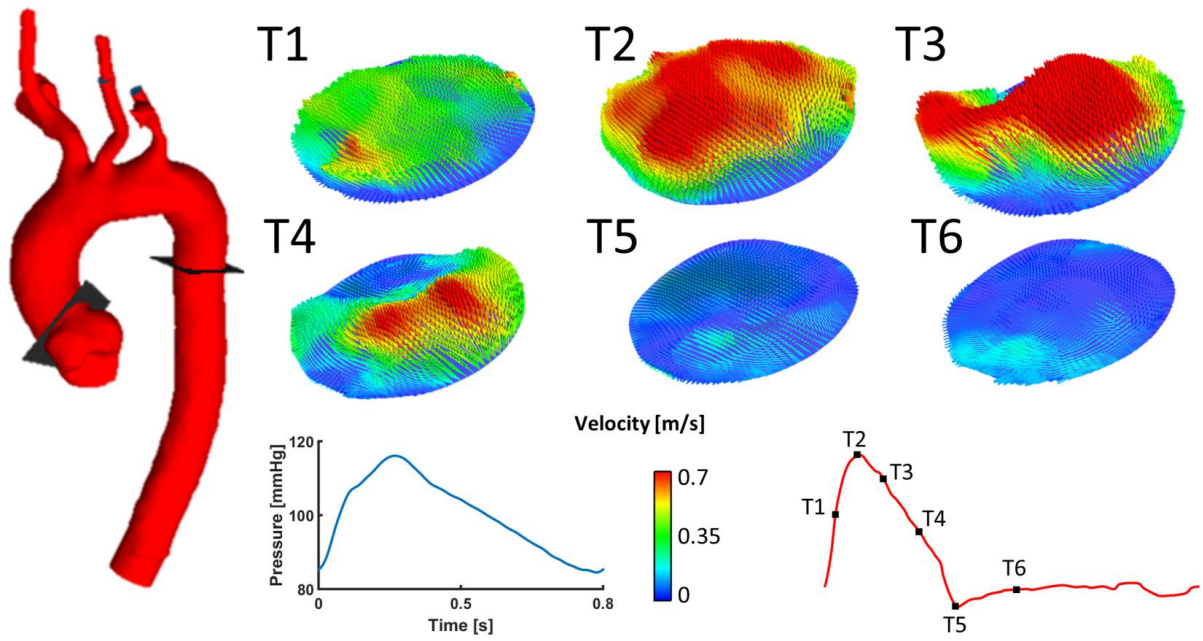
Case Name	Inlet BC	AoB BC	DAo BC
OBC1	3D patient-specific velocity profiles	3-EWM	3-EWM
OBC2	3D patient-specific velocity profiles	3-EWM	Patient-specific pressure waveform
OBC3	3D patient-specific velocity profiles	Mass flow waveforms	Patient-specific pressure waveform
OBC4	3D patient-specific velocity profiles	Mass flow waveforms	0-pressure
OBC5	3D patient-specific velocity profiles	0-pressure	0-pressure

471 Table 2: Values for parameters used in the 3-EWM. R_1 =proximal resistance, R_2 = distal
472 resistance, C = vessel compliance. BCA= brachiocephalic artery, LCCA=left common carotid
473 artery, LSA= left subclavian artery, DAo= descending aorta.

	R_1	R_2	C
	$[10^7 \text{ Pa}\cdot\text{s}\cdot\text{m}^{-3}]$	$[10^8 \text{ Pa}\cdot\text{s}\cdot\text{m}^{-3}]$	$[10^{-10} \text{ m}^3\cdot\text{Pa}^{-1}]$
BCA	6.3	17.1	10.1
LCCA	17.6	41.7	4.1
LSA	24.1	54.7	3.1
DAo	1.7	2.4	69.7

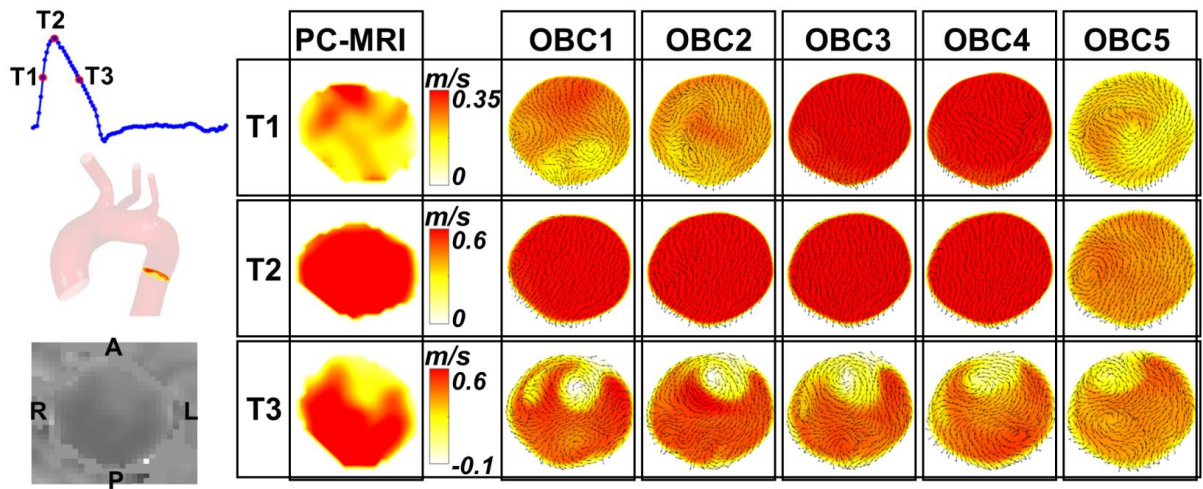
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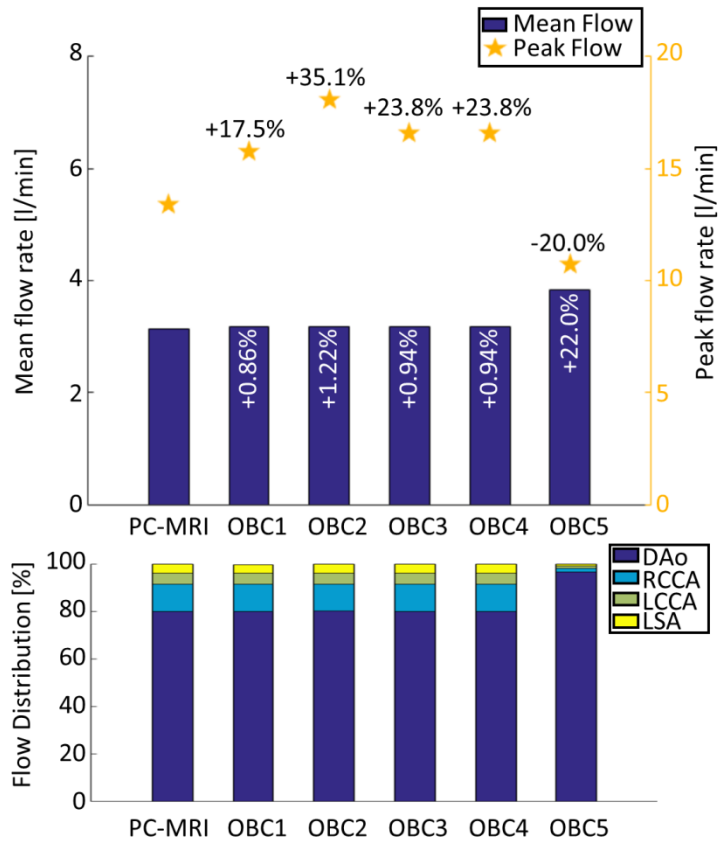
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Figure 1



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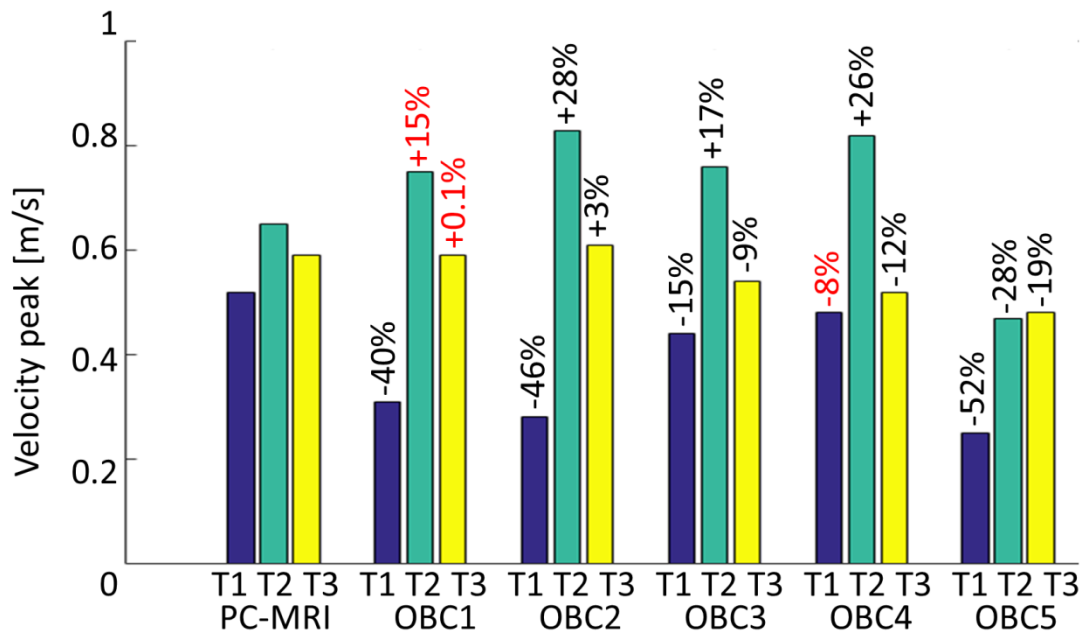
Figure 2



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485 Figure 3

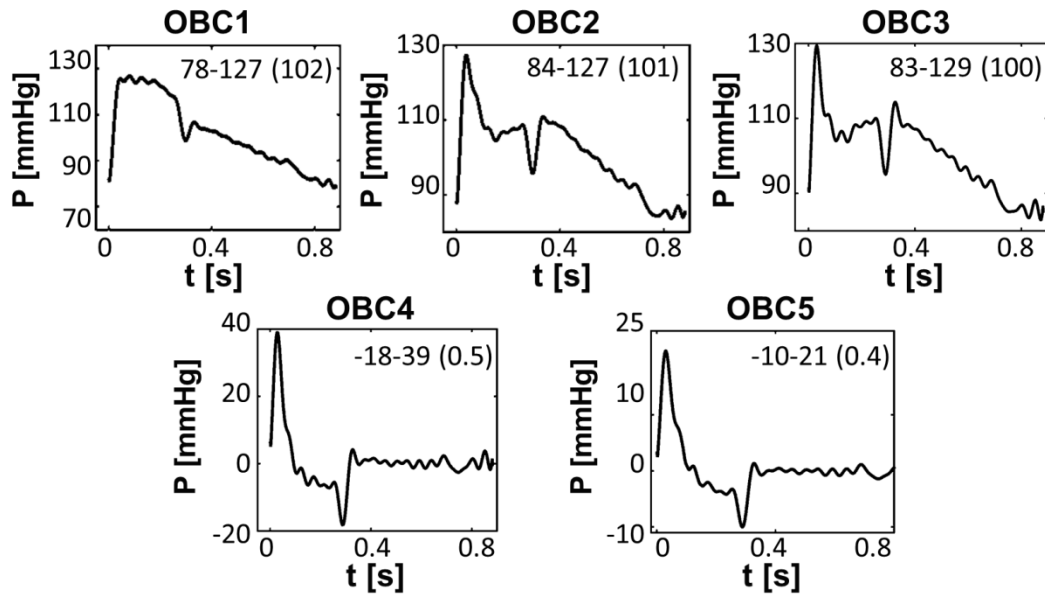
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488 Figure 4

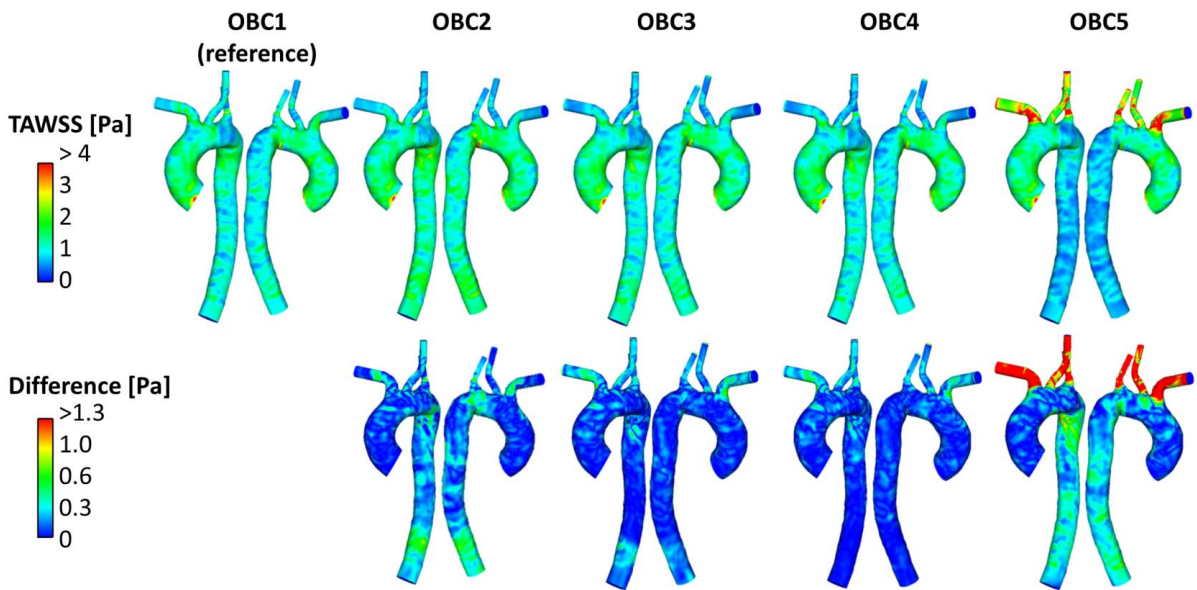
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491 Figure 5

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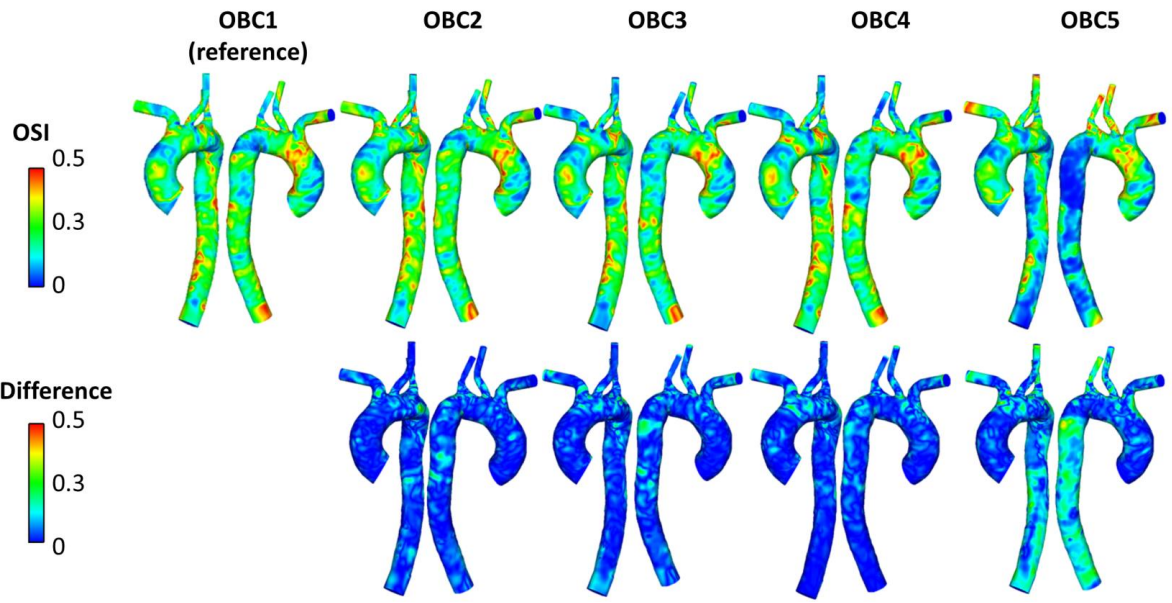


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494 Figure 6

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498 Figure 7

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