

# A Computational Model of Motor Neuron Degeneration

Gwendal Le Masson,<sup>1,2,\*</sup> Serge Przedborski,<sup>3,4,\*</sup> and L.F. Abbott<sup>3,5</sup>

<sup>1</sup>Neurocentre Magendie, INSERM U862, University of Bordeaux, 33077 Bordeaux, France

<sup>2</sup>Department of Neurology, Neuro-Muscular Unit and ALS Center, CHU de Bordeaux, 33076 Bordeaux, France

<sup>3</sup>Center for Motor Neuron Biology and Disease, Columbia University, New York, NY 10032-3784, USA

<sup>4</sup>Departments of Neurology, Pathology and Cell Biology, Columbia University, New York, NY 10032, USA

<sup>5</sup>Departments of Neuroscience and Physiology and Cellular Biophysics, Columbia University, New York, NY 10032, USA

\*Correspondence: [gwendal.lemasson@inserm.fr](mailto:gwendal.lemasson@inserm.fr) (G.L.M.), [sp30@cumc.columbia.edu](mailto:sp30@cumc.columbia.edu) (S.P.)

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## SUMMARY

To explore the link between bioenergetics and motor neuron degeneration, we used a computational model in which detailed morphology and ion conductance are paired with intracellular ATP production and consumption. We found that reduced ATP availability increases the metabolic cost of a single action potential and disrupts  $K^+/Na^+$  homeostasis, resulting in a chronic depolarization. The magnitude of the ATP shortage at which this ionic instability occurs depends on the morphology and intrinsic conductance characteristic of the neuron. If ATP shortage is confined to the distal part of the axon, the ensuing local ionic instability eventually spreads to the whole neuron and involves fasciculation-like spiking events. A shortage of ATP also causes a rise in intracellular calcium. Our modeling work supports the notion that mitochondrial dysfunction can account for salient features of the paralytic disorder amyotrophic lateral sclerosis, including motor neuron hyperexcitability, fasciculation, and differential vulnerability of motor neuron subpopulations.

## INTRODUCTION

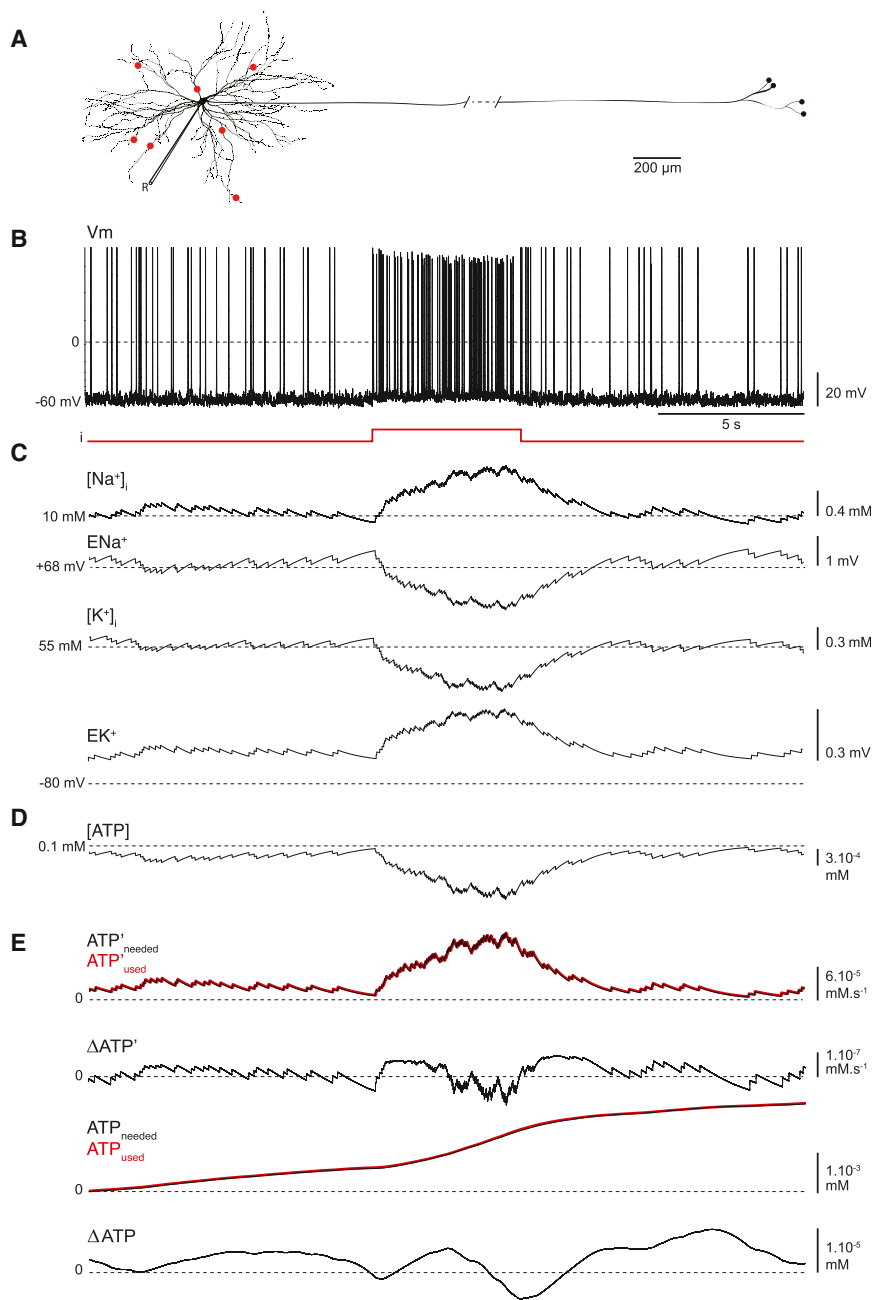
Amyotrophic lateral sclerosis (ALS) is a fatal adult-onset neurodegenerative disorder characterized by a loss of motor neurons, leading to muscle wasting and weakness (Rowland, 2010). In ALS patients, however, not all motor neurons are equally susceptible to the disease process (Kanning et al., 2010). For instance, in ALS, motor neurons that innervate the fast-fatigable (FF) motor units are affected early, whereas those that innervate the slow (S) motor units are affected late (Kanning et al., 2010). The basis for this differential susceptibility remains elusive, but an attractive possibility may lie in the variable bioenergetic needs of distinct subsets of motor neurons.

The human brain accounts for only ~2% of body mass and yet utilizes ~20% of the  $O_2$  consumed by the body at rest (Harris et al., 2012). This disproportionately high energy requirement of

the brain is attributed primarily to ATP-demanding processes in neurons. These include the maintenance of the resting potential, transport of metabolites along axonal or dendritic processes, synaptic function with neurotransmitter release, postsynaptic currents (Harris et al., 2012), and synaptic vesicle cycling (Rangaraju et al., 2014). In agreement with the theoretical brain energy budget model of Harris et al. (2012), we assume that reversing the ion flux and maintaining the homeostasis of ionic gradients across the plasma membrane and the endoplasmic reticulum (ER) are the most ATP-consuming processes in neurons.

Ion pumps are distributed over the entire cell membrane but are particularly clustered in areas with high ion fluxes, such as the soma, the nodes of Ranvier, and at pre- and postsynaptic sites. Motor neurons are extremely active cells, continuously firing APs to maintain tonic posture or to generate the complex firing patterns needed for muscle contraction during specific movements. Motor neurons are large (in terms of membrane surface area) with long axons, adding to the metabolic burden that must be met by ATP produced both via oxidative phosphorylation and glycolysis (Hall et al., 2012; Rangaraju et al., 2014). Despite the large reservoir of neuronal ATP, especially at synapses (Rangaraju et al., 2014), reduced mitochondrial and/or glycolytic function will modify the electrical properties of motor neurons when ATP availability becomes insufficient to allow ion pumps to maintain the appropriate gradients. The relationships between electrical activity, changes in excitability, and intracellular machinery involving calcium ( $Ca^{++}$ ) and ATP are a focus of attention in the field of ALS pathophysiology (Fritz et al., 2013; Saxena et al., 2013).

We use a modeling approach to explore the link between electrical activity and susceptibility to degeneration due to insufficient levels of metabolic energy. We construct a realistic computer model that merges classical Hodgkin-Huxley-type conductances and multicompartmental modeling, including computations of ion exchange and energy requirements for ion pumps, with biochemical modeling of ATP production and consumption. Using this model, we find that a reduction in ATP availability can place motor neurons in a physiological state that leads to prolonged depolarization, massive influx of  $Ca^{++}$ , and ultimately may cause cell death. We show that this process involves a positive feedback loop in which small deficits in available ATP lead to small ion imbalances that, in turn, cause a higher energy demand on the neuron, leading to worse imbalances. The energy production deficit can be localized to



**Figure 1. A Model Neuron Combining Conductance-Based Electrical Activity, Ion Pumps, and Pathways for ATP Production and Consumption**

(A) Model morphology based on Neuro Lucida reconstruction of a cat motor neuron. Red dots, synaptic inputs. "R" is for recording and shows where the measurements are made from.

(B) Spontaneous membrane firing due to synaptic background. At 10 s, a 5 s depolarizing pulse is injected in the soma.

(C) Evolution of the intracellular  $[Na^+]_i$  ( $[Na^+]_i$ ), the  $Na^+$  reversal potential ( $E_{Na^+}$ ), the intracellular  $[K^+]_i$  ( $[K^+]_i$ ), and the  $K^+$  reversal potential ( $E_{K^+}$ ).

(D) Intracellular  $[ATP]$ .

(E) The amount of ATP used and needed per unit of time,  $ATP^{used}$  (red line) and  $ATP^{needed}$  (black line).  $\Delta ATP^i$  is the difference between these quantities,  $ATP^{used}$  and  $ATP^{needed}$  are their cumulative values, and  $\Delta ATP$  is the difference between  $ATP^{used}$  and  $ATP^{needed}$ .  $\Delta ATP^i$  and  $\Delta ATP$  both fluctuate around 0, indicating that the model is stable.

## RESULTS

### A Computer Model Linking Electrical Activity and ATP Pathways

To explore the link between electrical and metabolic activities in motor neurons, we constructed a model that includes ion pumps and exchangers as well as metabolic pathways affecting ATP levels. The multicompartmental neuron model was based on a NeuroLucida reconstruction of a cat motor neuron (Alvarez et al., 1998), to which we added a 100-mm-long unmyelinated axon (Figure 1A; Experimental Procedures). The type and distribution of the ion conductances in the model are based on validated models and published voltage-clamp data (Araki and Terzuolo, 1962; Barrett et al., 1980; Powers et al., 2012; see also models from Dai et al., 2002; Powers et al., 2012; Heckman and Binder, 1993).

the axon terminal and still lead to a lethal cascade through a retrograde spread that ultimately reaches the entire cell. We also find that models built to match the more vulnerable (FF) motor neurons, enter this catastrophic cycle at milder bioenergetic deficiencies than models based on less vulnerable (S) motor neurons. Thus, this study provides theoretical evidence that bioenergetics may be a critical determinant of motor neuron differential susceptibility in ALS. We infer from our findings that any therapeutic strategies aimed at supporting bioenergetics may enhance the capacity of motor neurons to withstand pathological insults, thereby prolonging the lifespan of ALS patients.

We are interested in the energy demands for maintaining ion concentration gradients. Thus, the model includes the plasma membrane  $Na^+/K^+$  ATPases and a series of  $Ca^{++}$  mechanisms: the plasma membrane  $Ca^{++}$  ATPase (PMCA), the sarcoplasmic  $Ca^{++}$  ATPase (SERCA), the plasma and mitochondrial  $Na^+/Ca^{++}$  exchanger (NCX), and the  $Ca^{++}$  mitochondrial uniporter (MCU) (Experimental Procedures). To drive the ATPases, we included a simple model of ATP production (Experimental Procedures), and we modified the rate of this production to mimic pathological states.

Our multicompartment model neuron consists of a 60- $\mu$ m-diameter soma, a complex dendritic tree, and an axon with

distal branching (Figure 1A). Our first objective was to determine whether the model reliably reproduces the activity of a healthy motor neuron in vivo during tonic and phasic muscular movements. To mimic background synaptic input, we used a combination of excitatory and inhibitory drive (Experimental Procedures) through synapses located at different locations on the dendrite (red dots, Figure 1A). Phasic activation of the motor neuron, such as that during voluntary movement, was reproduced by injecting a 1 nA current pulse into the soma. Under the influence of randomly generated background input, the model neuron fires at an average rate of 2–4 Hz, and with additional injected current the firing rate increases to 12–14 Hz (Figure 1B). Because we keep track of internal ion concentrations and included ion pumps in our model, we could monitor how ion concentrations return to baseline levels after high-frequency firing (Figure 1C). During high-frequency firing, the intraneuronal  $\text{Na}^+$  concentration,  $[\text{Na}^+]$ , rises, causing the  $\text{Na}^+$  reversal potential,  $E_{\text{Na}}$ , to decrease. Simultaneously, the  $[\text{K}^+]$  decreases, and  $E_{\text{K}}$  increases. These changes engage the  $\text{Na}^+/\text{K}^+$  ATPase, which restores the baseline concentrations (Figure 1C). The energy required to drive this pump lowers  $[\text{ATP}]$  (Figure 1D) but, because we are modeling a healthy neuron,  $[\text{ATP}]$  rapidly returns to baseline through the conversion of ADP to ATP by the mitochondrial oxidative phosphorylation included in the model.

The “healthy” state of our model neuron can be revealed more clearly by comparing the rate of ATP consumption at any given time with the rate required for ion concentration homeostasis. To quantify this comparison, we computed the rate at which ATP is actually consumed by the  $\text{Na}^+/\text{K}^+$  pump (denoted by  $\text{ATP}'_{\text{used}}$ ) and the rate at which ATP should be consumed to keep  $[\text{Na}^+]$  at its baseline level of 10 mM despite the firing (denoted  $\text{ATP}'_{\text{needed}}$ ) (Experimental Procedures). If we compute these quantities for the soma only, we find that  $\text{ATP}'_{\text{used}}$  and  $\text{ATP}'_{\text{needed}}$  overlap (red and black lines, first trace, Figure 1E), so  $\text{ATP}'_{\text{needed}} - \text{ATP}'_{\text{used}}$  (denoted by  $\Delta\text{ATP}'$ ) is small ( $\sim 10^{-7}$  mM  $\times$  s $^{-1}$ ) before, during, and after the input current pulse (second trace, Figure 1E). Time integrals of the two ATP rates and their difference (denoted by  $\text{ATP}_{\text{used}}$ ,  $\text{ATP}_{\text{needed}}$ , and  $\Delta\text{ATP}$ ; third and fourth traces, Figure 1E) show that the total amount of ATP consumed ( $\text{ATP}_{\text{used}}$ ) by the pump over the duration of the activity (right extremity of the plot) is  $2.16 \times 10^{-3}$  mM. Furthermore, the strong match between  $\text{ATP}_{\text{used}}$  and  $\text{ATP}_{\text{needed}}$  and the small  $\Delta\text{ATP}$  value indicate that ATP production in the model neuron can fulfill the demands of repetitive firing. A larger positive  $\Delta\text{ATP}$  would have meant that the  $\text{Na}^+/\text{K}^+$  pumps do not consume enough ATP to restore  $[\text{Na}^+]$  and  $[\text{K}^+]$  to their equilibrium values, possibly implying the existence of a bioenergetics problem. Longer simulations (data not shown) indicate that, as in Figure 1, the model is stable, in that ion and ATP concentrations return to baseline after any stimulation, and the actual amount of ATP consumed always matches the computed amount necessary to drive the  $\text{Na}^+/\text{K}^+$  pumps.

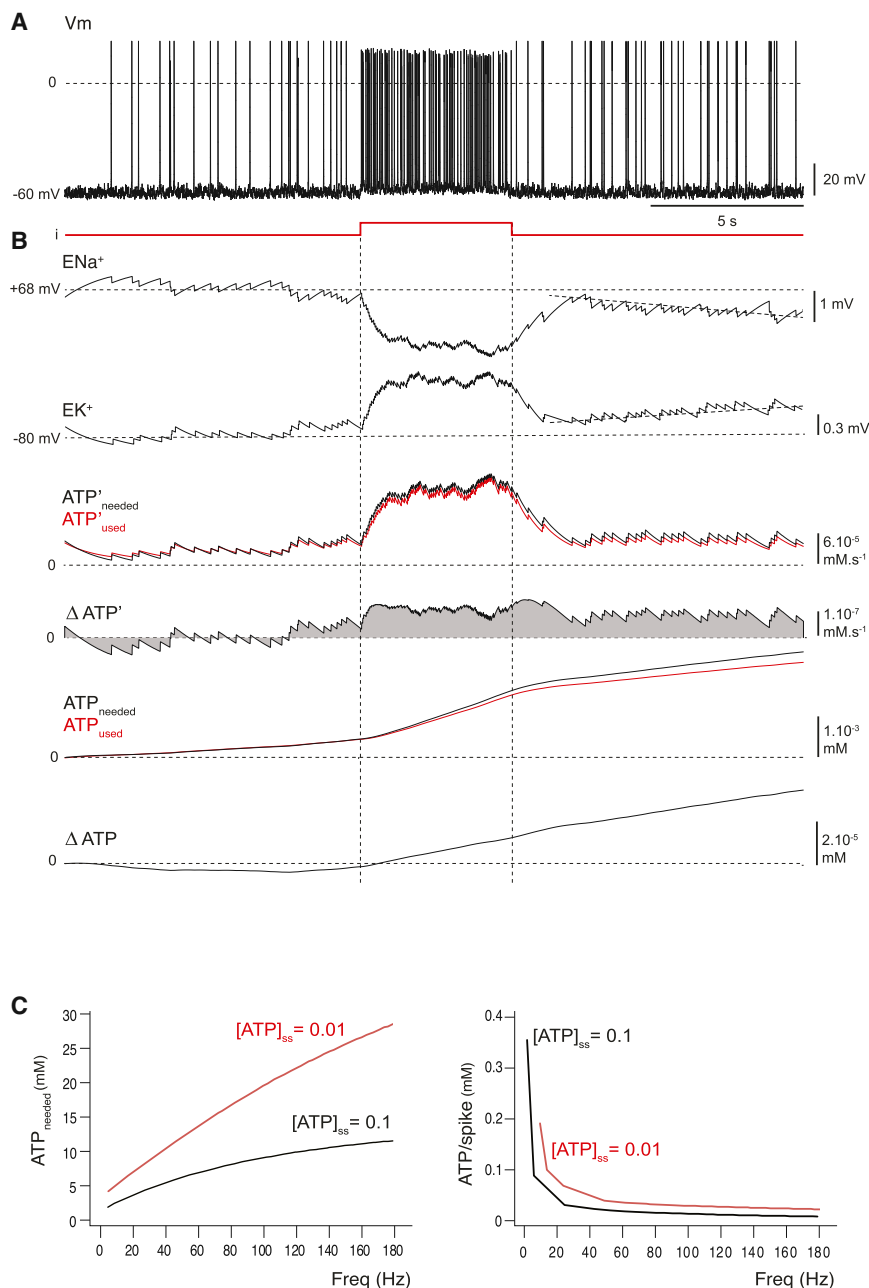
### A Deadly Loop: Reducing ATP Production Increases ATP Demand

To mimic a mitochondrial dysfunction, we reduced the steady-state ATP concentration ( $[\text{ATP}]_{\text{ss}}$ ) that our model neuron maintains. This reduces the rate at which the neuron can drive its

$\text{Na}^+/\text{K}^+$  pumps. A reduction in  $[\text{ATP}]_{\text{ss}}$  from 0.1 mM to 0.01 mM has no effect on the spontaneous firing pattern of the neuron over the timescale shown in Figures 1 and 2, but even a single injected current pulse identical to that shown in Figure 1 increases the peak ATP demand to a level beyond the capacities of the model neuron, introducing a metabolic instability (Figure 2B). After the current pulse shown in Figure 2A,  $[\text{Na}^+]$  and  $[\text{K}^+]$ , as well as  $E_{\text{Na}}$  and  $E_{\text{K}}$ , do not return to baseline but instead start to drift (Figure 2B). The root of this problem lies in the difference between the amount of ATP needed to drive the  $\text{Na}^+/\text{K}^+$  pumps and the amount actually used. The curve for  $\text{ATP}'_{\text{used}}$  is slightly offset compared to  $\text{ATP}'_{\text{needed}}$ , resulting in a positive  $\Delta\text{ATP}'$  after the pulse (Figure 2B). Similarly, over time,  $\text{ATP}_{\text{used}}$  lags below  $\text{ATP}_{\text{needed}}$  resulting in an ever-increasing value of  $\Delta\text{ATP}$  (Figure 2B). Clearly, ATP production is not sufficient to satisfy the demands imposed by the  $\text{Na}^+/\text{K}^+$  pumps. Thus, by the end of the time period shown in Figure 2, the neuron is in a state in which the ion pumps have failed to compensate for the  $\text{Na}^+$  accumulation and the  $\text{K}^+$  loss due to action potentials (APs) and, rather than being restored to equilibrium, the reversal potentials move toward 0. The model neuron is in an unstable electrophysiological state triggered by the conjunction of lower  $[\text{ATP}]_{\text{ss}}$  and a firing rate that exceeded a critical value.

To quantify this metabolic instability for the whole neuron, we plot the total cost in ATP of driving the pumps for the duration of a run similar to that of Figure 2 for different values of injected current that produce different firing rates during the period of stimulation. The black line in Figure 2C shows the result with the normal level of ATP production ( $[\text{ATP}]_{\text{ss}} = 0.1$  mM), and the red curve corresponds to the lowered level ( $[\text{ATP}]_{\text{ss}} = 0.01$  mM). In both cases, the ATP demand rises for increasing firing rate, but the demand for the model with lowered ATP is both higher and rises more rapidly (Figure 2C, left; note that these quantities are larger than those in Figure 2B, because they refer to the whole neuron, not just the soma). Interestingly, the ATP cost per spike (i.e., ATP cost divided by the number of spikes produced) declines as a function of firing rate, but it is always higher in the ATP-deficient model than in the “healthy” model (Figure 2C, right). Thus, a deficit in  $[\text{ATP}]_{\text{ss}}$  makes the model neuron even less able to provide the energy required to recover from firing.

Next, we further reduced  $[\text{ATP}]_{\text{ss}}$  to 0.001 mM and simulated over a longer period of time (i.e., 50 s). The model neuron starts firing at the typical background rate but then steadily depolarizes and fires increasingly rapidly as the reversal potentials  $E_{\text{Na}}$  and  $E_{\text{K}}$  start drifting toward 0 (Figure 3A). Eventually, the depolarization becomes so high that APs can no longer be generated because of inactivation of the fast  $\text{Na}^+$  conductance. The steadily increasing depolarization results from a rise in  $E_{\text{K}}$  from  $-80$  mV to  $-37$  mV (Figure 3B). This decreases the outward  $\text{K}^+$  current, depolarizing the cell. Simultaneously,  $E_{\text{Na}}$  falls from  $+68$  mV to  $+25$  mV, reducing the  $\text{Na}^+$  current and thus the height of the spikes. During this time, the rate of ATP consumed by the  $\text{Na}^+/\text{K}^+$  pump falls further behind what is needed, resulting in an ever-growing total ATP deficit. Remarkably, ending the firing does not ameliorate the problem (Figure 3A), but instead the depolarized state further increases the energy demand. The cell is thus engaged in a vicious cycle in which depolarization



**Figure 2. A Neuron with a Small ATP Reduction Is Stable for Low-Frequency Firing but a Brief Input Pulse Triggers Instability**

(A–C) Model is set with a 10-fold reduction in  $[ATP]_{ss}$ , i.e., 0.01 mM. (A) Spiking appears normal before, during, and after a brief depolarizing pulse. (B) The reversal potentials  $E_{Na^+}$  and  $E_{K^+}$  start to drift (tilted dashed lines) from their stable values after the higher-frequency firing, indicating the triggering of an instability. The instability results from the difference between the  $ATP^{used}$  and  $ATP^{needed}$  (red and the black curves) after the pulse, the separation of  $ATP^{used}$  and  $ATP^{needed}$ , the positive value of  $\Delta ATP^*$ , and the increasing  $\Delta ATP$ . (C) For a total simulated run of 25 s, the amount of ATP needed by the entire neuron was measured for different firing frequencies. When the ATP level is normal ( $[ATP]_{ss} = 0.1$  mM; black curve), the ATP needed (left) is lower by a factor of about 3 than with a 10-fold reduction ( $[ATP]_{ss} = 0.01$  mM; red curve). Similar results were found for the ATP needed per spike (Action potential or AP) (right). Note that APs are less costly for high-frequency firing.

level of the ATP deficit, and the firing rate. The time at which depolarization block occurs depends on the ATP depletion and the firing rate (Figure 3D). Complete depolarization can occur for ATP depletion as small as 15% if the firing rate and therefore the ATP consumption are high enough. The maximum simulation time of 2,000 s (45 min run time) limited this exploration, but we extrapolate that, at a firing rate of  $\sim 20$  Hz, a deadly depolarization could arise at times greater than 2,000 s for ATP depletions  $< 15\%$ .

### Neurons with a Higher ATP Demand Are More Vulnerable

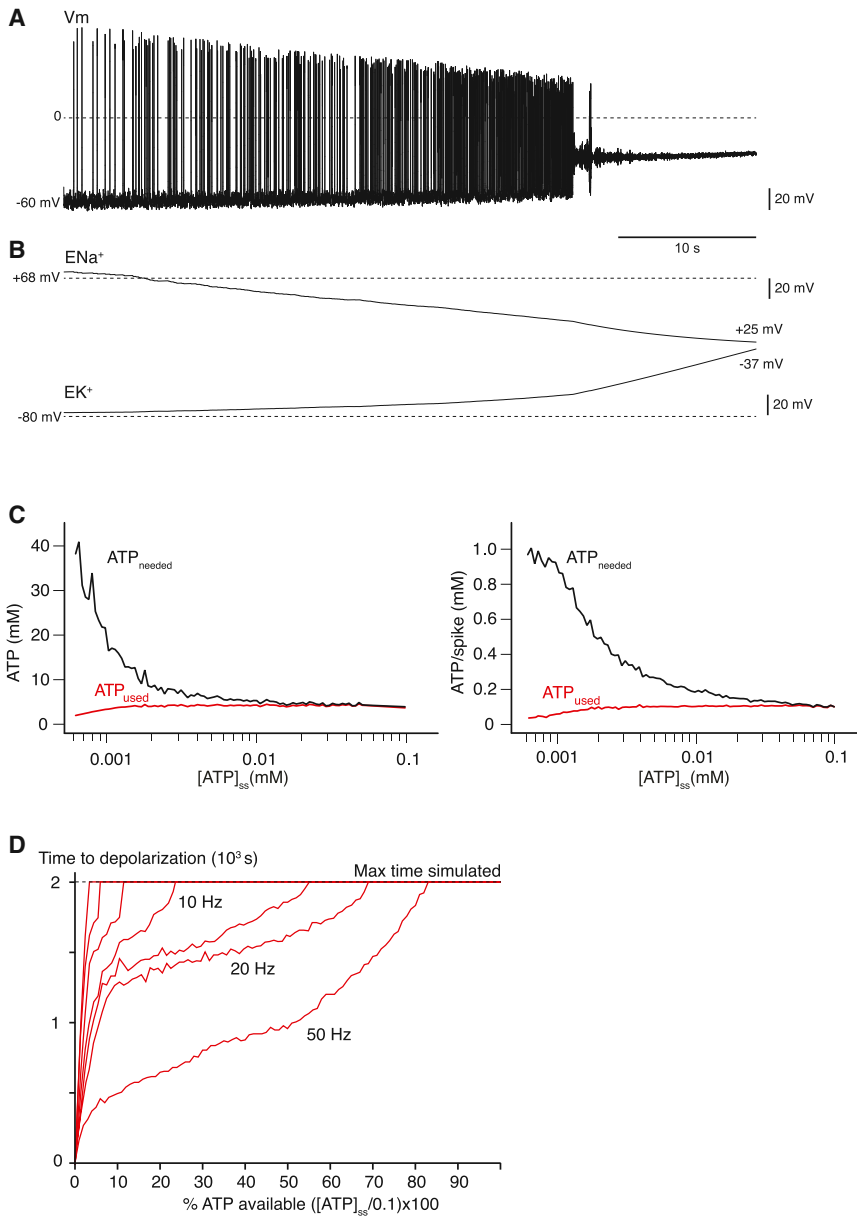
Because the ATP cost of an AP is related to the membrane current, each neuron, having a particular morphology and set of intrinsic conductance, has its own energy demand. Energy profiles

opens most of the ion channels worsening the pump deficit, and the model neuron cannot recover spontaneously.

We also compared the cost of running the  $Na^+/K^+$  pump for 10 s across the entire neuron at a stable 5 Hz firing and the cost per AP for different levels of  $[ATP]_{ss}$  (Figure 3C). The less ATP the neuron produces, the higher the metabolic demand, illustrating the fundamental instability that leads to the depolarization block seen in Figure 3A. For this figure, we intentionally used an extreme ATP deficit that led to a complete depolarization as described in Figure 3A within 10 s. In a disease such as ALS, motor neuron death occurs years after birth (Kanning et al., 2010), so we explored the relationships between the time of occurrence of the potential deadly depolarization, the

have been estimated theoretically and studied experimentally for neurons in different species or different parts of the brain (Hasenstaub et al., 2010). The energy cost per AP in vertebrates was found to differ by up to 10-fold, depending on the neuron type (Sengupta et al., 2010). We explore the hypothesis that there is a relationship between the vulnerability of a neuron to energy-related death and its energy consumption profile by constructing realistic models of FF and S motor neurons based on morphological reconstructions from Camera Lucida techniques and measured conductance distributions (Experimental Procedures).

As indicated in Kanning et al. (2010), S motor neurons have a smaller soma and axon size, as well as less dendritic branching



and fewer neuromuscular terminals than FF motor neurons (Figures 4A and 4B). Thus, S motor neurons have  $\sim 20\%$  less cellular membrane than FF neurons and their electrical properties, characterized by the relationship between injected current and firing rate (Figure 4C), show a lower threshold than for FF motor neurons due to their higher input resistance and different distribution of active conductance (Button et al., 2006). Because of their lower threshold, S motor neurons are recruited earlier than FF motor neurons during muscle contraction (Kernell et al., 1999). To explore the effects of ATP availability in both cell types, we injected a 2 s step of current tuned so that each cell fires at  $\sim 15$  Hz (Figures 4A and 4B). We then reduced the ATP production capacity by lowering  $[ATP]_{ss}$  in each compartment of both the FF and S models and measured the relationship between  $[ATP]_{ss}$  and ATP consumption. Figures 4D1 and 4D2 show the ex-

### Figure 3. A Deadly Loop: A Neuron with a Severe Deficit in ATP Irreversibly Depolarizes and Further Increases Its Energy Needs

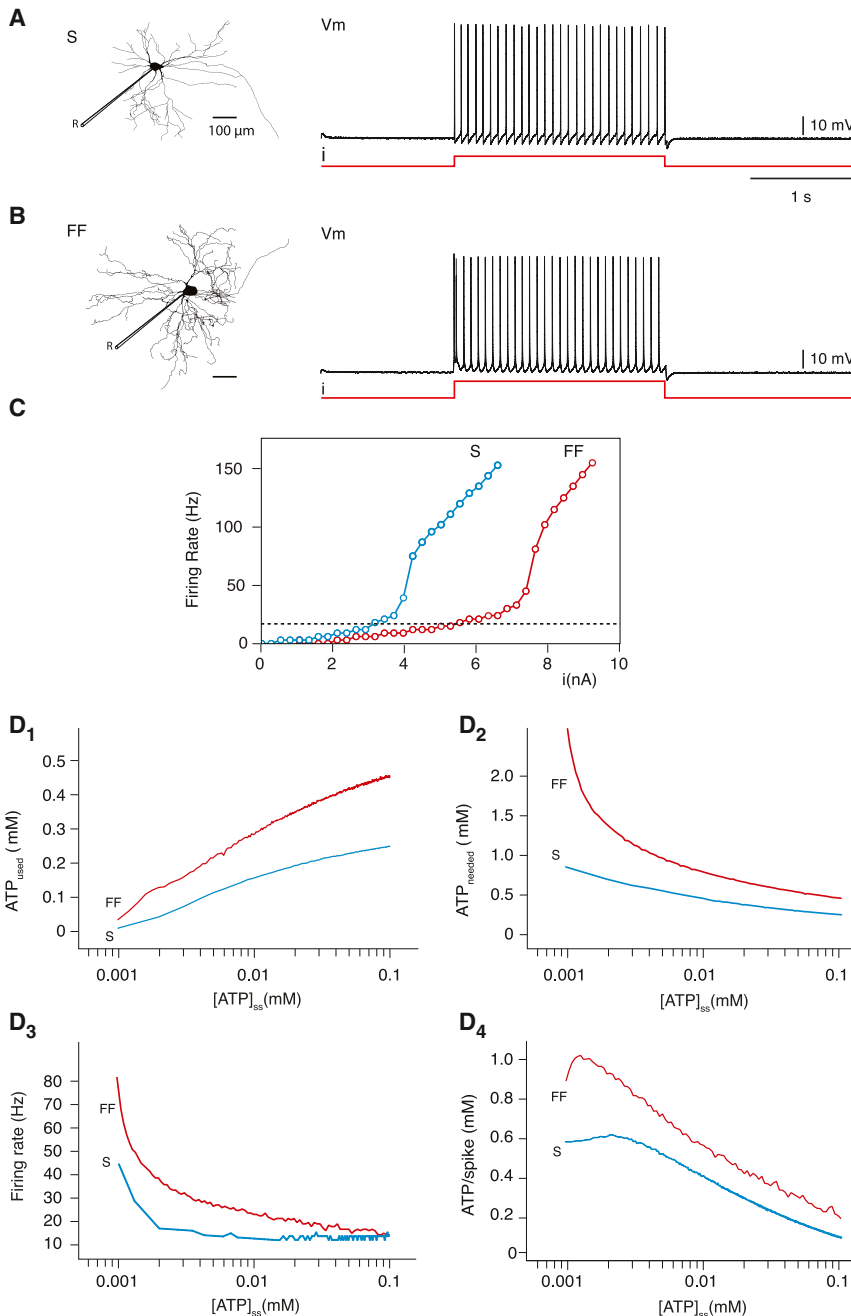
(A) If  $[ATP]_{ss}$  is set to 0.001 mM, the membrane potential is unstable even for spontaneous activity, showing a progressive depolarization until APs stop due to sodium channel inactivation. (B)  $ENa^+$  and  $EK^+$  drift toward 0 as a consequence of the loss of ion gradients linked to the reduction in ATP-ase pumping. (C)  $ATP_{used}$  and  $ATP_{needed}$  versus the ATP production ( $[ATP]_{ss}$ ). Lower  $[ATP]_{ss}$  increases the amount of ATP needed (left), but not the amount used. Right: the cost of a single AP for different levels of  $[ATP]_{ss}$ . The amount of ATP needed for a single spike is greater when the ATP availability is lower. (D) Relationship between ATP deficit (x axis), time to depolarization (y axis), and average frequency firing (red lines between 10 Hz and 50 Hz). The horizontal line at  $2.0 \times 10^3$  s represents the longest simulations explored. Even for low ATP deficit, a depolarization can occur after a very long time and is even more likely if the average firing rate is high.

pected decreasing value of  $ATP_{used}$  and increasing  $ATP_{needed}$  as a function of the decrease of  $[ATP]_{ss}$  (see Figure 3C for comparison). Note that the energy demand on the FF motor neuron is considerably larger than on the S for a similar discharge. Not only is their basal requirement for ATP higher, FF motor neurons are also considerably more sensitive to ATP imbalances than S motor neurons, and thus more vulnerable to the instability seen in Figure 3. FF motor neurons fire more rapidly than S motor neurons (Figure 4D3), but their ATP demand is still greater when normalized to the number of APs emitted (Figure 4D4). These results suggest that even small differences in morphology and electrical properties can make neurons differently vulnerable

to metabolic energy dysfunction, even if their firing rates do not differ appreciably.

### Local Energy Failure, Hyperexcitability, and Ectopic Fasciculation-like Potentials

Altered mitochondrial function in ALS is thought to occur early but also locally within motor neurons, associated with an early defect in the fast axonal transport (Bilsland et al., 2010). The latter may affect the mitochondria distribution, leading to abnormal accumulation of mitochondria in the soma and depletion in the axon (Knott et al., 2008). Analysis of mouse models of ALS has also shown that motor neuron death begins with distal axonal degeneration and dismantlement of the neuromuscular junction (Kanning et al., 2010). We thus investigated the consequence of a local energy failure in the distal



**Figure 4. FF Motor Neurons Firing Consume More than S Motor Neurons Firing**

(A and B) Morphologies and firing patterns of S (A) and FF (B) motor neurons. “R” is for recording and shows where the measurements are made from. (C) Firing rate versus injected current for S (blue curve) and FF (red curve) neurons. (D1–D4) In both cell types, a reduction in  $[ATP]_{ss}$  leads to a reduction in the amount of ATP used by the neuron (D1) but an increase in the amount of ATP needed (D2). The FF neuron both uses and needs more ATP than the S neuron and, in particular, its ATP needs are more sensitive to low levels of  $[ATP]_{ss}$ . As  $[ATP]_{ss}$  is reduced, both neurons depolarize and their firing rate increases (D3) with the FF neuron being more sensitive. As a consequence, the ATP needed for a single spike is higher for the FF motor neuron than for the S motor neuron (D4).

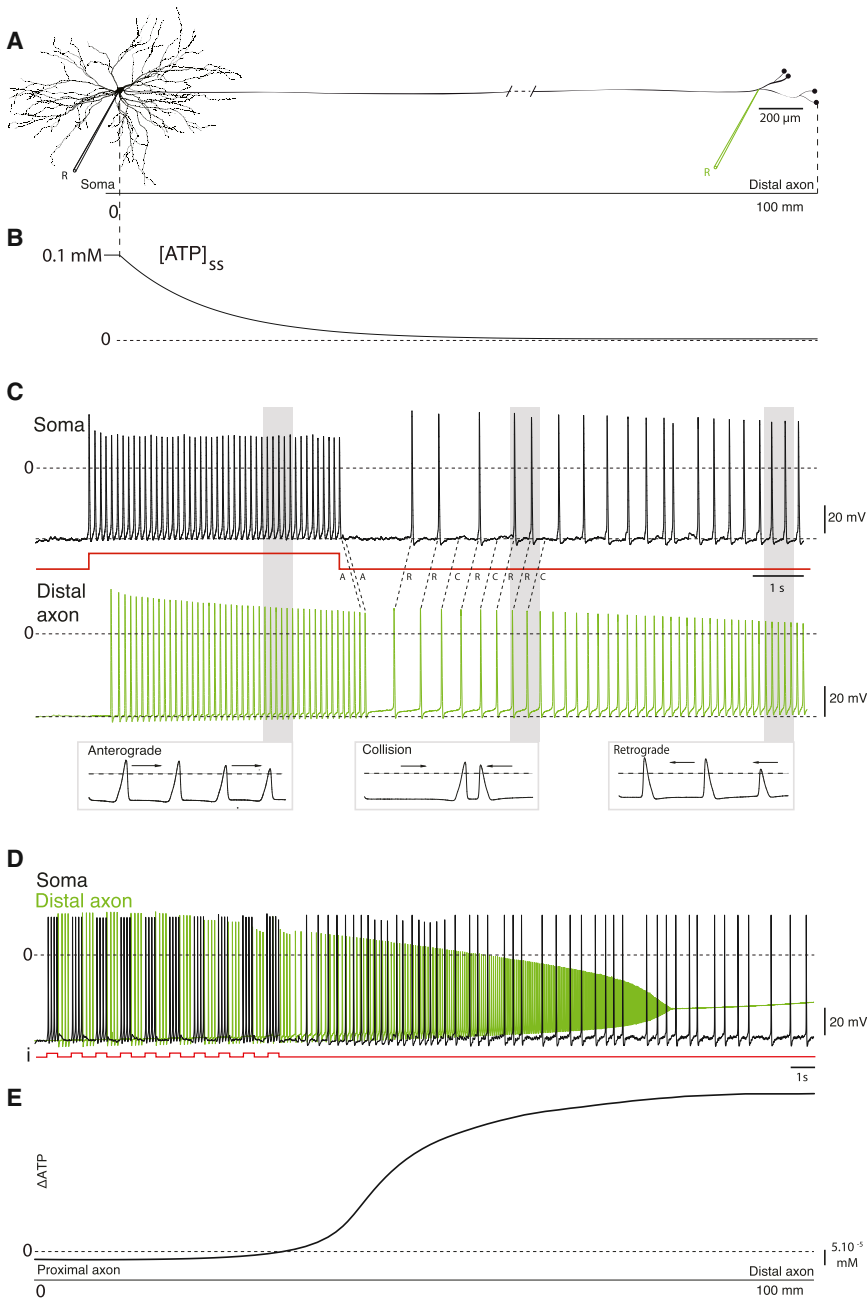
spikes that propagate in the usual antero-grad manner to the distal axon, where they arrive after a conduction delay (Figure 5C, first third of run). As the firing continues, however, a local depolarization develops in the distal axon due to the local shortage of ATP. This depolarization is linked to a progressive but local reduction of the ion gradients and change in  $E_{Na}$  and  $E_K$ , as seen in previous figures. After ~10 s, the distal depolarization is sufficient to trigger APs that propagate from the distal axon to the soma (Figure 5C). Those retrograde-propagated spikes occasionally trigger a secondary spike in the soma, similar to an F-wave seen in EMGs, and collision phenomena also occur (Figure 5C). Distal, ectopic spike generation slowly increases in frequency as the worsening pump deficit increases the depolarization caused by the degradation of the reversal potentials. This distal hyperexcitability and the related events are reminiscent of fasciculation observed in ALS patients (de Carvalho and Swash, 2004).

axon, rather than the global deficits considered in previous sections.

To mimic the depletion of mitochondria in the axon, we produced a gradient of ATP availability by setting  $[ATP]_{ss}$  to a normal value of 0.1 mM in the soma but steadily reducing  $[ATP]_{ss}$  away from the soma down to a value of 0.001 mM at the distal end of the axon (Figures 5A and 5B). Of note, we have assumed that the ATP deficit originates from a mitochondrial defect, hence purposely omitting the contribution of glycolysis (Hall et al., 2012; Rangaraju et al., 2014).

The model neuron in the distally depleted state was activated using a step current injected into the soma to trigger somatic

If we look over a longer time interval (Figure 5D, top), APs initiated at the soma initiate a local energy crisis in which the axon depolarizes, reaches the threshold for spiking, and fires APs at an increasing frequency until inactivation of the  $Na^+$  current stops spiking, though the axon remains in a depolarized state. The spatial profile of the ATP deficit,  $\Delta ATP$ , shows a large positive value (indicating an ATP deficit) in the region of the distal axon reflecting this problem (Figure 5E). Thus, local as well as global deficits in ATP production can produce neuronal pathological changes. This local energy failure combined with a spreading deficit and dysfunction provides a better model of motor neuron damage in ALS than the global scenario considered previously.



### Local Energy Failure and Global Neuronal Energetics

Problems caused by a local ATP deficit are likely to spread as highly concentrated ions diffuse from the affected region to nearby compartments and eventually throughout the neuron. An indication of this propagation can already be seen in Figure 5E, where positive values of  $\Delta\text{ATP}$  occur a considerable distance back from the end of the axon. We examined this issue further by running the model studied in the previous section for longer times.

The top panel of Figure 6A shows a series of APs that originate in the distal axon (at the location of the arrowhead) and propagate antidromically (from right to left) back to the soma. These arise from the ATP deficit in the distal axon, as in Figure 5.

### Figure 5. Local Energy Failure Results in Distal Depolarization and a Proximal Hyperexcitability

(A) Morphology of the model with a 100 mm axon. “R” is for recording and shows where the measurements are made from.

(B) We imposed values of  $[\text{ATP}]_{\text{ss}}$  that decrease from 0.1 to 0.001 mM with distance down the axon.

(C) Initially, depolarization of the soma triggers APs that travel from the soma to the distal axon (anterograde). Over time, instability arises, leading to distal depolarization and distally generated APs that travel back toward the soma (retrograde). When both ends (soma and distal) are firing, collisions occur (collision).

(D) Over a longer timescale, repeated depolarization leads to depolarization-induced AP block in the distal axon (green line) and depolarization of the soma (black line).

(E) The cumulative ATP deficit ( $\Delta\text{ATP}$ ) along the axonal length is positive distally but, for a time at least, the soma can remain balanced with  $\Delta\text{ATP}$  near zero.

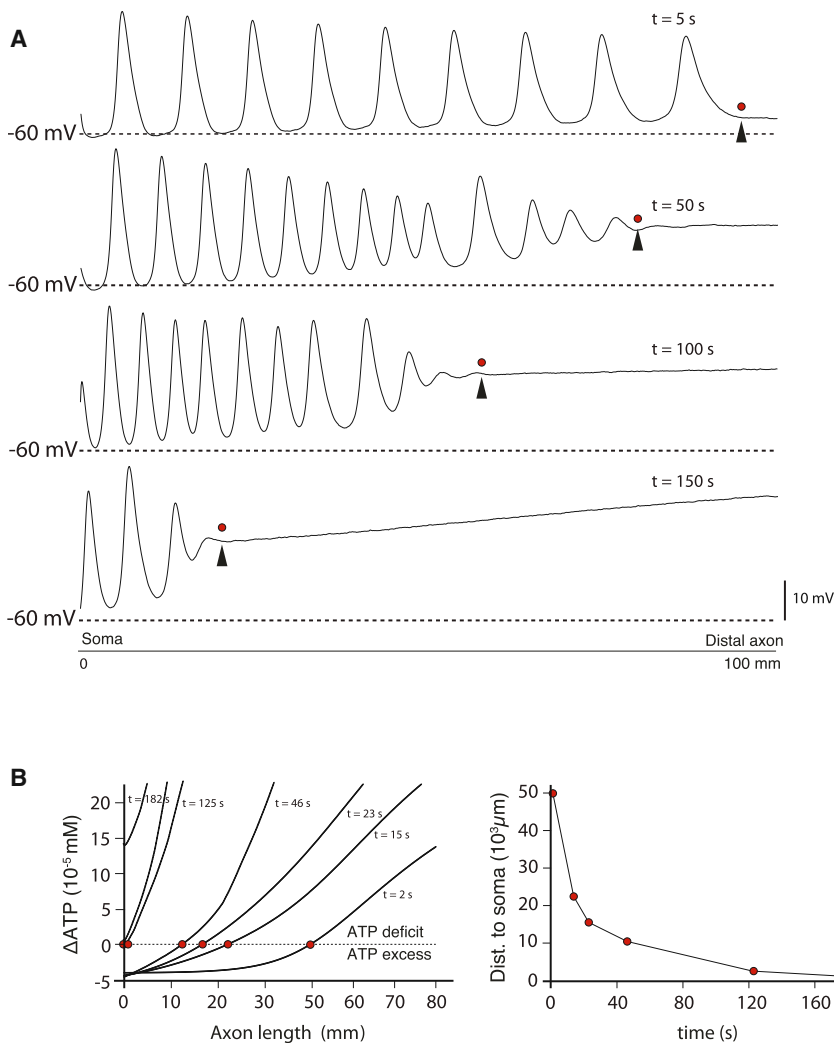
Over time, the point along the axon where these spikes originate moves steadily inward toward the soma (Figure 6A). Regions of the axon more distal than the ectopic AP initiation zone are chronically depolarized. After 150 s, most of the axon is in this depolarized state (Figure 6A, bottom). Figure 6B (left) shows the evolution of the total  $\Delta\text{ATP}$  profile over time. The red dots indicate the zero crossing point (the equilibrium), which slowly moves toward the soma (Figure 6B, right). These results show that an energy crisis initially localized at the distal end of the axon can propagate in a retrograde direction and ultimately spread to the whole neuron.

### Consequences of ATP Shortage for Intracellular Calcium Dynamics

Regulation of cytosol  $\text{Ca}^{++}$  involves many pumps and exchangers, some of which do not require ATP. We included three

generic mechanisms of intracytosolic  $\text{Ca}^{++}$  regulation in our model: (1) P-type  $\text{Ca}^{++}$  ATPases, which pump  $\text{Ca}^{++}$  into the ER, SERCA, or the extracellular space, PMCA (Palmgren and Nissen, 2011); (2) mitochondrial and plasmatic NCX (Boyman et al., 2013), which extrude cytosolic  $\text{Ca}^{++}$  without ATP consumption (Berridge, 1998; Clapham, 2007; Grienberger and Konnerth, 2012); and (3) MCU, a specific  $\text{Ca}^{++}$  channel driven by the proton-motive driving force and hence depending on ATP (Raffaello et al., 2012; Williams et al., 2013).

In Figure 7A, we display  $[\text{Ca}^{++}]$  after a 2 s simulation during which the model fired tonically under the influence of synaptic



**Figure 6. Spontaneous Retrograde Propagation of the Distal Depolarization toward the Soma**

(A) Membrane potential along the axon. The distal axon initially generates APs locally (top panel, arrow head shows the initiation site) that move toward the soma (leftward). Over time, the initiation site moves inward along the axon (panels 2–4), with the membrane potential distal to the initiation site remaining steadily depolarized.

(B) Left: each curve is a profile of  $\Delta\text{ATP}$  at a given time, plotted against the distance to the soma. The red dots show the location of the zero values (balance between ATP needed and ATP used) along the axonal length. Right: the balance point location over time, indicating a spread of the ATP deficit from its distal origin toward the soma.

in intracytosolic  $\text{Ca}^{++}$  is even more pronounced, and the relative contributions of ATPases and MCU are reduced while that of the NCXs increases (Figure 7B2). Third, we explored the consequences of removing mitochondria in one specific dendrite (marked by the arrow in Figure 7C). In this extreme case, this region of the neuron relies entirely on plasmatic NCX, causing a dramatic increase in intracytosolic  $\text{Ca}^{++}$  (Figure 7C).

With bioenergetics defects, hot spots of  $\text{Ca}^{++}$  accumulation arise, initially at the dendritic sites of synapses (Figure 7) but then spreading through the cell including the soma (which does not receive any synaptic input in this model). At first, the rise in  $[\text{Ca}^{++}]$  occurs because of reduced

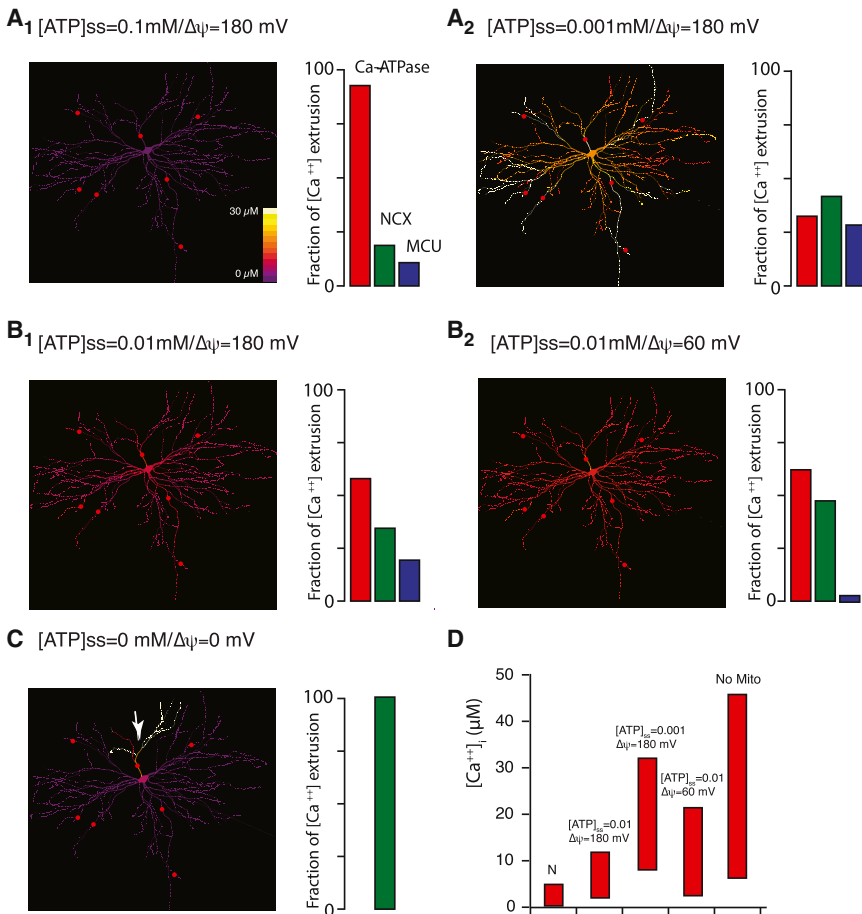
inputs (marked as red dots). Under standard conditions (Figure 7A1), the dominant  $\text{Ca}^{++}$  extrusion mechanism is the ATPases (both PMCA and SERCA). We studied the effect of bioenergetic impairment on cytosolic  $\text{Ca}^{++}$  by comparing different mitochondrial pathological situations parameterized by  $[\text{ATP}]_{\text{ss}}$  and  $\Delta\Psi$ , operating under the premise that mitochondrial defects are the primary cause of ATP deficits. First, we emulated a defect in ATP production without alteration of  $\Delta\Psi$  on which MCU function depends (Williams et al., 2013) and as seen in an impairment in mitochondrial  $\text{F}_0/\text{F}_1$  ATP synthase function (Schon and Przedborski, 2011). To do this, we reduced ATP production (either to  $[\text{ATP}]_{\text{ss}} = 0.001$  in Figure 7A2 or  $[\text{ATP}]_{\text{ss}} = 0.01$  in Figure 7B1) while maintaining  $\Delta\Psi$  at 180 mV. This modification reduces the fraction of  $\text{Ca}^{++}$  extruded by the  $\text{Ca}^{++}$  ATPases so that, in the more extreme case (Figure 7A2), it is no longer the leading mechanism of extrusion. Even with the smaller reduction in  $[\text{ATP}]_{\text{ss}}$  (Figure 7B1), we see an increase in intracytosolic  $\text{Ca}^{++}$  despite the increased contributions of the NCXs and MCU (Figure 7B1). Second, we emulated a defect in bioenergetics in which both  $[\text{ATP}]_{\text{ss}}$  and  $\Delta\Psi$  were reduced, as seen in many mitochondrial diseases (DiMauro and Schon, 2003). In this case, the increase

$\text{Ca}^{++}$  ATPase activity but, with the progressive loss of  $\text{Na}^+$  and  $\text{K}^+$  gradients and the induced depolarization, voltage-gated  $\text{Ca}^{++}$  conductances are activated, resulting in a large  $\text{Ca}^{++}$  influx. In addition, the rise in  $[\text{Na}^+]$  slows the rate of  $\text{Na}^+/\text{Ca}^{++}$  exchange and if  $[\text{Na}^+]$  is high enough, the NCX pumps can even work in a reverse mode, actively pumping  $\text{Ca}^{++}$  into the cell.

As shown in Figure 7D, where ranges of  $[\text{Ca}^{++}]$  from resting to peak are displayed for a number of levels of  $[\text{ATP}]_{\text{ss}}$ , intrinsic mitochondrial buffering capacity and  $\text{Ca}^{++}$  dishomeostasis increases and spreads throughout the neurons as mitochondrial function is reduced. This occurs through reduction of ATPase pumps but also through MCU reduction, depending on the mechanism of mitochondrial failure (relative preservation of  $\Delta\Psi$ , through decoupling mechanisms, or loss of  $\Delta\Psi$ , through dysfunction in the respiratory chain complex upstream of the ATP synthase).

Our model indicates that under normal conditions, mitochondria maintain an adequate  $[\text{ATP}]_{\text{ss}}$  that supports the activity of ATPases for membrane-potential homeostasis and the maintenance of a normal cytosolic  $[\text{Ca}^{++}]$  (Figure 8A). Membrane-potential homeostasis contributes to  $\text{Ca}^{++}$  homeostasis by preventing excessive depolarization and extended periods of





**Figure 7. Consequence of ATP Deficit on the Intracellular Calcium Concentration**

(A–C) Average [Ca<sup>2+</sup>] after 2 s of tonic firing in the model driven by the synaptic inputs marked as red dots. The histograms show the relative contribution of each intracytosolic Ca<sup>2+</sup> regulation mechanism, with the Ca<sup>2+</sup> ATPases in red, the NCXs in green, and the MCU in blue. (A) Lowering the ATP availability mainly affects PMCA and SERCA, and leads to a large increase in the average [Ca<sup>2+</sup>]. The ATPase deficit is not compensated by the intrinsic mitochondrial ATP-independent buffer mechanisms, the NCX exchanger, or the MCU. (B) Although important, the MCU intrinsic mitochondrial buffer channel is not alone capable of compensating the loss of ATPase activity due to low ATP production, even for a smaller deficit than in (A), with or without a modification of  $\Delta\psi$ . (C) When mitochondria are removed entirely from a single dendrite (white arrow), the only buffering mechanism left is the NCX exchanger and it cannot preserve the Ca<sup>2+</sup> homeostasis in that region. Here histograms show Ca<sup>2+</sup> extrusion only in the affected compartment.

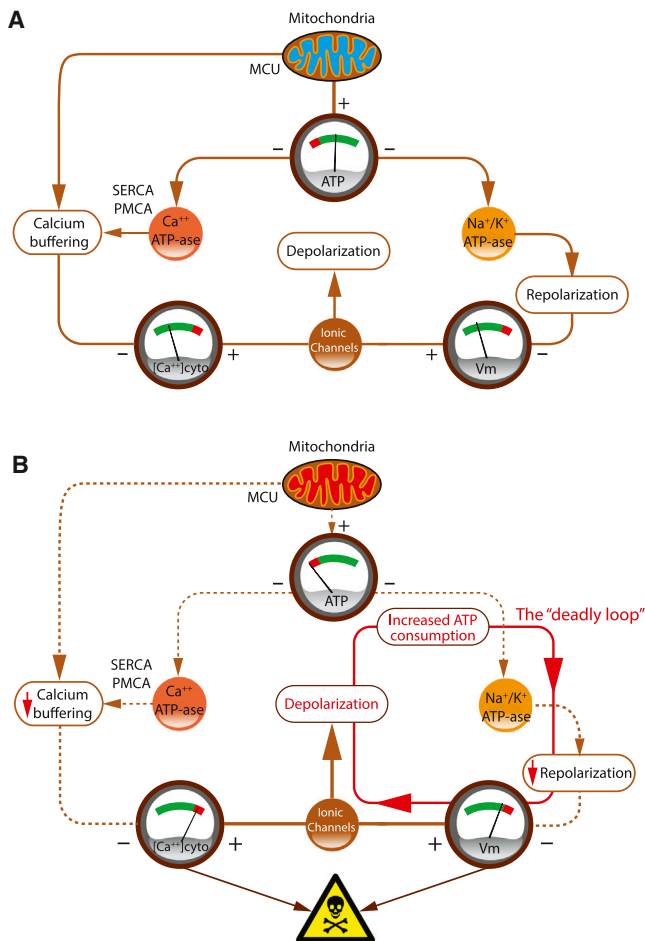
(D) The dynamic range of the [Ca<sup>2+</sup>] between the resting level and the peak level in some microdomain when an AP is fired for different [ATP]<sub>ss</sub> and  $\Delta\psi$ , showing how mitochondria is essential for Ca<sup>2+</sup> homeostasis mainly through ATPase function and, to a lesser extent, the NCX exchangers and the MCU.

high-rate firing, both of which activate voltage-gated Ca<sup>2+</sup> conductances. Reduced mitochondrial ATP production causes a positive feedback loop in which membrane potential depolarization increases the rate of ATP consumption and of firing, leading to increased Ca<sup>2+</sup> influx (Figure 8B). This higher influx along with the reduced Ca<sup>2+</sup> ATPase activity due to the ATP shortage causes the cytosolic [Ca<sup>2+</sup>] to rise. The end result is a deadly loop that we believe is likely to be lethal to the neuron.

## DISCUSSION

Computer modeling has advantages in putting together complex interacting mechanisms and in exploring consequences of specific parameter combinations. It is a particularly useful tool for visualizing the results of a basic underlying hypothesis. Our model combines classical Hodgkin and Huxley (1952) multicompartment modeling with a description of some, but of course not all, of the important metabolic pathways linked to energy production, energy consumption, and ion homeostasis. Although others have addressed the issue of the energy cost of firing in different types of neurons (Aiello and Bach-y-Rita, 2000; Hasenstaub et al., 2010; Pissadaki and Bolam, 2013; Venkateswaran et al., 2012), our work represents, to our knowledge, a new cell-based, biologically realistic computer model, related to a neurodegenerative disease.

Because an ATP imbalance is pivotal for the pathogenic scenario we consider herein, and oxidative phosphorylation produces most of the ATP in active neurons (Hall et al., 2012; Rangaraju et al., 2014), it is worth discussing the state of mitochondria in ALS. Striking morphological and functional alterations in mitochondria from postmortem spinal cord samples of sporadic ALS patients have been reported (Borthwick et al., 1999; Hirano et al., 1984; Sasaki and Iwata, 2007). ALS-causing gene mutations in *superoxide dismutase-1 (SOD1)*, *TAR DNA-binding protein 43*, and *fused in sarcoma/translated in liposarcoma* are associated with comparable mitochondrial abnormalities and altered distributions in mice (Tan et al., 2014). Furthermore, *VCP/p97* mutations, which are found in ~2% of familial ALS patients (Johnson et al., 2010), can cause mitochondrial uncoupling and an ensuing decreased ATP production in patients' fibroblasts (Bartolome et al., 2013). More speculative are the ALS-causing mutations in *Optineurin* (Maruyama et al., 2010) and *SQSTM1* (Fecto et al., 2011), which, given the known biological functions of the corresponding gene products, could, respectively, affect mitochondrial movement and turnover by autophagy (Schon and Przedborski, 2011). In both instances, a local bioenergetics failure could occur because, with *Optineurin* mutations, normal mitochondria may not travel properly to the high-energy demand areas in the neurons, while with *SQSTM1* mutations damaged mitochondria may be insufficiently eliminated. Finally, the hexanucleotide expansion repeat in *C9ORF72* is the most common genetic cause of ALS (Majounie



**Figure 8. A Schematic Diagram of the Consequence of an ATP Deficit**

(A) The effects of mitochondrial ATP production acting through ATPases on the resting membrane potential and intracellular  $[Ca^{2+}]$ . VGCC, voltage-gated  $Ca^{2+}$  conductances.

(B) Low  $[ATP]_{ss}$  due to mitochondrial dysfunction engages a positive feedback loop that leads to increased ATP consumption and even lower  $[ATP]$ . These problems lead to pathologically high  $[Ca^{2+}]$ .

et al., 2012), but its effect on mitochondrial biology is thus far unknown. Nevertheless,  $[^{18}F]$ fluorodeoxyglucose positron emission tomography revealed overt hypometabolism in brain areas of C9ORF72-ALS patients (Cistaro et al., 2014). Thus, even if ALS is not a mitochondrial disorder per se (Schon and Przedborski, 2011), mitochondrial dysfunction may be one of the earliest pathological events and one of the most common neuronal perturbations of the disease. Whether this apparent commonality reflects the convergence of very different ALS-causing factors or is merely a generic pathological response of compromised motor neurons will have to be clarified.

An ATP requirement for firing depends on the surface area of the membrane (i.e., the morphology of the neuron) and on the intensity of the ion currents, specifically  $Na^+$  and  $K^+$ , flowing through the membrane. Thus, neurons with different intrinsic properties and morphologies have different energy require-

ments. Our estimates of the ATP requirement for motor neurons place them at the higher end of mammalian neurons but lower than invertebrate neurons (Niven and Laughlin, 2008; Sengupta et al., 2010). Here, we have compared two subtypes of motor neurons, namely FF and S, and have found that FF motor neurons consume, on average, more ATP for each AP. Another important factor is firing pattern. FF motor neurons usually fire in short-lasting high-frequency bursts, whereas S motor neurons fire at a slower pace for postural tasks (Burke, 1980). Thus, FF neurons have high peak needs of ATP, which is a factor that can trigger the first step of an energy crisis. The selective vulnerability to degeneration is probably the consequence of multiple features, but we propose that the higher the energy need, the more vulnerable the neuron.

We uncovered an unexpected consequence of reduced ATP production, the development of a pathological state in which, paradoxically, low ATP availability increases ATP consumption. This causes the cell to enter into a deadly feedback loop with reduced activity of  $Na^+/K^+$  ATPase pumps and loss of  $Na^+/K^+$  ion gradients leading to gradual depolarization. The consequence of this process is an increased ATP cost per AP, triggering a vicious cycle. Nevertheless, clinical manifestations emerge typically in adults despite the hypothesized early defects in bioenergetics. Relevant to this apparent temporal discrepancy are the following two considerations. First, as our model shows, the conditions contributing to or causing motor neuron death may be the result of transient, repeated imbalances between ATP needs and ATP produced. Over time, a recurring imbalance may be especially perilous to FF motor neurons since, according to our model, motor neurons with fast transient high-frequency firing involved in phasic movements may be at higher risk to enter in the pathophysiological loop described above than neurons firing at low frequency, such as S motor neurons. Second, as spinal motor neurons die in ALS, giant motor unit potentials can be recorded in affected muscles (Brown, 1973), reflecting the reinnervation of denervated muscle fibers by nearby surviving motor axons via collateral sprouting. This compensatory mechanism may also account for the delay in the emergence of the ALS phenotype. Interestingly, this clinically beneficial process could be bioenergetically catastrophic because, as the number of muscle fibers innervated by a single spared motor neuron increases, so does the imbalance between its ATP needs and its ATP production.

An energy crisis in motor neurons is more likely to begin in a localized microdomain of the cell. We have demonstrated that such a localized event, even at the distal end of the axon, can trigger hyperexcitability and generate ectopic APs. This phenomenon is reminiscent of fasciculation potentials, an early clinical hallmark of the disease (Mills, 2011), reflecting spontaneous discharges of single motor units. The origin of fasciculation potentials has been a source of intense debate since the early work of Denny-Brown and Pennybacker (1938). Many authors have emphasized the distal origin of fasciculation and the probable involvement of fluctuations in the ion gradients along the membrane (de Carvalho and Swash, 1998; Layzer, 1994; Roth, 1982). The current concept is that the sources of fasciculation vary in location over the duration of the disease, and we speculate that an initial distal hyperexcitability, linked to an energy

failure and a loss of ion gradients, contributes to their production and distal-to-proximal spread (Desai and Swash, 1997; Kleine et al., 2008). In our model, this propagation is mainly due to depolarization that increases ATP demands in surrounding compartments. Although diffusion of ATP is limited, diffusion of ion species, such as  $\text{Na}^+$  or  $\text{K}^+$ , plays an important role in the spreading of this local homeostasis failure. The local energy crisis thereby propagates to neighboring compartments, traveling from the distal axon to the soma. In the transgenic mutant *SOD1* mouse model of ALS, the degenerative changes in the lower motor neuron pathway also follow a distal-to-proximal pattern (Kanning et al., 2010). Although the model demonstrates this retrograde spread, the effect depends on ionic and ATP diffusion parameters and, more importantly, on the distribution of mitochondria within the neuron. The question of whether a distal energy crisis and the ensuing retrograde spread of ionic disturbances gives rise to a dying-back phenotype should be addressed experimentally.

Finally, we showed that  $\text{Ca}^{++}$  accumulation is an important byproduct of energy failure. This accumulation is the result of two processes, an increased influx of  $\text{Ca}^{++}$  through plasma membrane voltage-dependent  $\text{Ca}^{++}$  channels due to depolarization and a reduced efficiency of PMCA and SERCA intracellular  $\text{Ca}^{++}$  uptake by the plasma membrane and the ER. Should the mitochondrial  $\Delta\Psi$  be preserved, the low-affinity, high-capacity MCU might attenuate the rise in intracellular  $\text{Ca}^{++}$  but probably not in a spatially even manner because mitochondria cluster in both nerve terminals and dendrites in contrast to the ER, which forms a dense anastomotic, tubular network throughout the neuron (Broadwell and Cataldo, 1984).

Intracellular  $\text{Ca}^{++}$  dyshomeostasis is likely to have pervasive negative consequences. In normal situations, increased cytosolic influx of  $\text{Ca}^{++}$  is short lived and restricted to nanodomains such as presynaptic compartments, where it plays a key role in the physiological determination of the timing and efficiency of transmitter release (Vyleta and Jonas, 2014). However, a sustained, local increase in cytosolic  $\text{Ca}^{++}$  can, for example, activate and redirect CaMKII from the cytosol to the active zones, hence altering neurotransmission (Shakiryanova et al., 2011) and, in conjunction with a depletion of calpastatin, it can activate the calpain proteases promoting axon degeneration (Yang et al., 2013). Sustained increased cytosolic  $\text{Ca}^{++}$ , upon reaching the soma, can modulate transcriptional programs, which, incidentally, may not all be prodegenerative (Cho et al., 2013). Nonetheless, increased intracellular  $\text{Ca}^{++}$  has been linked to the activation of necroptosis (Nomura et al., 2014), a form of programmed necrosis that has been shown to drive the death of motor neurons in animal models of both mutant *SOD1* and sporadic ALS (Re et al., 2014).

Finally, previous work has shown that internal  $\text{Ca}^{++}$  is tightly linked to the average firing pattern (LeMasson et al., 1993; Ross, 1989), which suggests another possible  $\text{Ca}^{++}$ -related pathology. It is possible that mitochondrial dysfunction may distort the relationship between electrophysiological activity and  $\text{Ca}^{++}$  regulation in such way that compensatory mechanisms are inefficient (Saxena et al., 2013).

Several features of our model could guide future experiments. Beyond what has already been explored concerning reduced

ATP production in ALS animal models, the model predicts changes in the reversal potential for  $\text{Na}^+$  and  $\text{K}^+$  ions, especially in regions where ATP levels are reduced. Techniques such as high-definition microelectrode arrays coupled with microfluidics could, in principle, demonstrate the capacity of selective blockers of the ATP synthesis to trigger a spreading axonopathy. An interesting prediction is the relationship between overall firing activity and the progression of the degeneration. Overstimulation elicited with high KCl media or chronic electrical stimulation is predicted to accelerate the degeneration process, whereas reducing firing with tetrodotoxin or optogenetic techniques should delay it.

Our work presents a scenario linking mitochondrial perturbation, hyperexcitability of motor neurons, selective vulnerability, and  $\text{Ca}^{++}$  dysregulation in a biologically realistic computer model. Because of the importance of energy metabolism in neurons, previous work (Hasenstaub et al., 2010; Sengupta et al., 2010; Venkateswaran et al., 2012) has suggested that neurons are optimized to reduce energy costs. We suggest that ALS is, in part, a pathological example of energy-impaired homeostasis (Schon and Przedborski, 2011). Whether this feature is a key player in the degenerative process or a secondary consequence is an important topic for experimental investigation.

## EXPERIMENTAL PROCEDURES

### Neuron Model

Models were built using the NEURON simulation package (V7.1, Linux version; Hasenstaub et al., 2010; Hines and Carnevale, 1997). The simulations used an integration step size of 0.1 ms but were checked with a reduced step of 0.01 ms. The model neuron used the Hodgkin and Huxley formalism. A 250 compartment model was constructed on the basis of a *NeuroLucida* reconstruction of a cat motor neuron with a soma of 60  $\mu\text{m}$  of diameter and 227 dendritic branches. The total surface area is 13,660  $\mu\text{m}^2$  and the soma surface is 5,296  $\mu\text{m}^2$ . The ion channels included in the soma are the  $\text{Na}^+$  and  $\text{K}^+$  conductances for the production of APs, a passive  $\text{K}^+$  conductance ( $g_{\text{Na}^+_{\text{max}}} = 0.1 \text{ mS/cm}^2$ ;  $g_{\text{K}^+_{\text{max}}} = 0.05 \text{ mS/cm}^2$ ;  $g_{\text{Leak}} = 0.0001 \text{ mS/cm}^2$ ), a calcium L-type current (using the Goldman Hodgkin Katz permeability of  $5 \times 10^{-5} \text{ cm/s}$ ), a persistent  $\text{Na}^+$  current ( $g_{\text{Na}^+_{\text{Pmax}}} = 5 \times 10^{-5} \text{ mS/cm}^2$ ), and a  $\text{Ca}^{++}$ -dependent  $\text{K}^+$  conductance  $g_{\text{KCa}^{++}}$  ( $g_{\text{KCa}^{++}_{\text{max}}} = 0.05 \text{ mS/cm}^2$ ). The axon consisted of a cylinder made from 1,000 compartments each 100  $\mu\text{m}$  long and 1.2  $\mu\text{m}$  in diameter, with the same  $\text{Na}^+$ ,  $\text{K}^+$ , and leak conductances as the soma ( $g_{\text{Na}^+_{\text{max}}} = 0.01 \text{ mS/cm}^2$ ;  $g_{\text{K}^+_{\text{max}}} = 0.001 \text{ mS/cm}^2$ ;  $g_{\text{Leak}} = 10^{-4} \text{ mS/cm}^2$ ). The dendrites had a passive conductance ( $g_{\text{Leak}} = 10^{-5} \text{ S/cm}^2$ ) a calcium L-type conductance, and a calcium-dependent potassium conductance ( $g_{\text{Pas}} = 1 \times 10^{-5} \text{ mS/cm}^2$ ;  $p_{\text{Call}} = 1 \times 10^{-5} \text{ cm/s}$ ;  $g_{\text{KCa}} = 1 \times 10^{-4} \text{ mS/cm}^2$ ). Synaptic inputs were located at seven random dendritic locations and modeled using the formalism developed by Destexhe et al. (1994) and Sengupta et al. (2010) with the following parameters:  $G_{\text{eMean}} = 2-5 \text{ nS}$ ;  $G_{\text{eSigma}} = 4 \text{ nS}$ ;  $G_{\text{eTau}} = 3 \text{ ms}$ ;  $G_{\text{iMean}} = 5-8 \text{ nS}$ ;  $G_{\text{iSigma}} = 5 \text{ nS}$ ;  $G_{\text{iTau}} = 7 \text{ ms}$ . In all compartments,  $[\text{Ca}^{++}]$  is computed in a shell of 1  $\mu\text{m}$  just beneath the membrane. See Supplemental Experimental Procedures for exact description of each model used (generic model of Figures 1, 2, 3, 5, 6, 7; FF and S model of Figure 4). Each model will be freely downloadable at <https://senselab.med.yale.edu/ModelDB/>.

### ATP Production

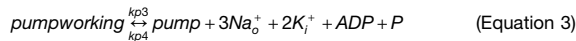
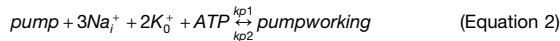
Within each compartment of the model, the action of mitochondria is assumed to operate toward maintaining baseline, steady-state concentrations of ATP, ADP, and P ( $[\text{ATP}]_{\text{ss}}$ ,  $[\text{ADP}]_{\text{ss}}$ , and  $[\text{P}]_{\text{ss}}$ ) at rates  $k_0$  and  $k_1$  through the equations

$$\begin{aligned} \frac{d[\text{ATP}]}{dt} &= k_0([\text{ATP}]_{\text{ss}} - [\text{ATP}]), & \frac{d[\text{ADP}]}{dt} &= k_1([\text{ADP}]_{\text{ss}} - [\text{ADP}]), \\ & & \text{and } \frac{d[\text{P}]}{dt} &= k_1([\text{P}]_{\text{ss}} - [\text{P}]) \end{aligned} \quad (\text{Equation 1})$$

with  $k_0$  and  $k_1 = 1/\text{ms}$ . Although ATP is regulated through the above equation individually in each compartment, it can diffuse among compartments with a diffusion coefficient  $D_{\text{atp}} = 3.6 \mu\text{m}^2/\text{ms}$  (Cullheim et al., 1987; Hubleby et al., 1996). Similarly, ions such as  $\text{Na}^+$  and  $\text{K}^+$  diffused throughout the model neuron with a diffusion constant of  $D_{\text{ion}} = 30 \mu\text{m}^2/\text{ms}$  (Pohl et al., 1998).  $\text{Ca}^{++}$  diffusion, which is affected by many  $\text{Ca}^{++}$  binding proteins, was set to  $D_{\text{Ca}^{++}} = 0.6 \mu\text{m}^2/\text{ms}$  (Safteku and Friel, 2012). Under normal conditions,  $[\text{ATP}]_{\text{ss}} = 0.1 \text{ mM}$ , but this value was reduced by a factor of 10 or 100 to model deficits.

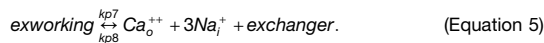
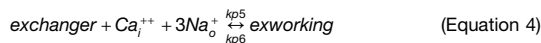
### Pumps

The plasma  $\text{Na}^+/\text{K}^+$  ATPase pump is described by the kinetic scheme



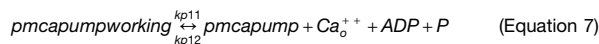
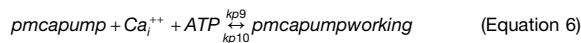
where “pump” and “pumpworking” represent two different states of the pump,  $kp_1$  to  $kp_4$  are rate coefficients and  $i$  and  $o$  refer to inside and outside the neuron. At  $t = 0$ ,  $\text{pump} = \text{pumpworking} = 0.01 \text{ pmol}/\text{cm}^2$ .

The fast (NCX)  $\text{Na}^+/\text{Ca}^{++}$  exchanger is driven by the  $\text{Na}^+$  gradient and is defined using the following kinetic scheme:

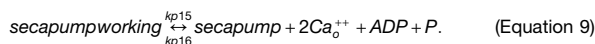
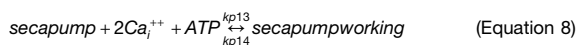


This pump has been model using the same equation whether it is plasmatic or mitochondrial and can work in a reverse mode if  $\text{Na}_i^+$  is sufficiently high.

Two P-type ATPases have been implemented: PMCA that has a stoichiometry of one molecule of  $\text{Ca}^{++}$  for one molecule of ATP consumed and SERCA that has a stoichiometry of two molecules of  $\text{Ca}^{++}$  for one molecule of ATP. They both have a high affinity for  $\text{Ca}^{++}$ . For PMCA:



and for SERCA:



Finally, the  $[\text{Ca}^{++}]$  MCU flux is of the form (Williams et al., 2013):

$$\frac{d[\text{Ca}^{++}]}{dt} = p_0 \frac{g_{\text{mcu}} (\Delta\psi - E_{\text{imm}}^{\text{Ca}^{++}})}{zFV} \quad (\text{Equation 10})$$

$$p_0 = (p_{\text{max}} - p_{\text{min}}) \left( \frac{[\text{Ca}^{++}]_i^n}{K_m^n} \right) + p_{\text{min}}$$

where  $p_0$  is the open probability of the pore,  $g_{\text{mcu}}$  is the MCU maximal conductance ( $3.10^{-6} \text{ mS}$ ),  $\Delta\psi$  is the mitochondrial transmembrane potential set to 180 mV,  $E_{\text{imm}}^{\text{Ca}^{++}}$  is the  $[\text{Ca}^{++}]$  Nernst reversal potential for the inner mitochondrial membrane,  $F$  the Faraday constant,  $z$  the  $\text{Ca}^{++}$  valence, and  $V$  the cytosolic volume.

In all of these cases, there is a net transfer of charge associated with the ion exchanges, and the resulting current is included in the model along with the other membrane currents (except for SERCA, the mitochondrial NCX, and the MCU, for which the fluxes are not across the plasma membrane). At  $t = 0$ ,  $\text{pmcapump} = \text{pmcapumpworking} = 0.1 \text{ pmol}/\text{cm}^2$ ;  $\text{secapump} = \text{secapumpworking} = 20 \text{ pmol}/\text{cm}^2$ .

With time measured in ms and concentrations in mM, the parameters are:  $kp_1 = 20$ ,  $kp_2 = 0.01$ ,  $kp_3 = 20$ ,  $kp_4 = 0.01$ ,  $kp_5 = 0.038$ ,  $kp_6 = 0.096$ ,  $kp_7 =$

$0.038$ ,  $kp_8 = 0.096$ ,  $kp_9 = 99.92$ ,  $kp_{10} = 0.0023$ ,  $kp_{11} = 99.92$ ,  $kp_{12} = 0.0023$ ,  $kp_{13} = 99.92$ ,  $kp_{14} = 0.0024$ ,  $kp_{15} = 99.92$ ,  $kp_{16} = 0.0024$ .

The quantity we label as  $\text{ATP}'_{\text{used}}$  is the time derivative  $d\text{ATP}/dt$  obtained from the kinetics of the  $\text{Na}^+/\text{K}^+$  pump (Equations 2 and 3), and  $\text{ATP}_{\text{used}}$  is the time integral of this quantity.  $\text{ATP}'_{\text{needed}}$  is computed as:

$$\text{ATP}'_{\text{needed}} = (i_{\text{na}} - i_{\text{ss}}) \text{Area} / 3FV \quad (\text{Equation 11})$$

where  $i_{\text{na}}$  and  $i_{\text{ss}}$  are the actual and steady-state  $\text{Na}^+$  current densities, and  $\text{Area}$  is the surface area of the neuron.

### FF and S Motor Neurons

To reproduce FF and S motor neuron differences, we used two morphologies downloaded from <http://neuromorpho.org>, for the FF motor neuron, NMO\_00913 from Li et al. (2005), for the S motor neuron, NMO\_00907 from the same authors. The S cell has an overall surface of  $11,931.8 \mu\text{m}^2$ , 47 bifurcations, and 111 branches, whereas the FF cell has an overall surface of  $66,311.6 \mu\text{m}^2$ , 98 bifurcations, and 209 branches. Passive and active parameters were derived from (Dai et al., 2002); both neurons have fast  $\text{Na}^+$  ( $g_{\text{Na}^+}$ ) and a delayed rectifier  $\text{K}^+$  ( $g_{\text{KD}}$ ) conductances for the spike generation,  $\text{Ca}^{++}$  T-type ( $g_{\text{Ca}^{++}\text{T}}$ ) and L-type ( $g_{\text{Ca}^{++}\text{L}}$ ) conductances, a  $\text{K}^+$  A-conductance ( $g_{\text{KA}}$ ), a  $\text{Ca}^{++}$ -activated  $\text{K}^+$  conductance ( $g_{\text{KCa}^{++}}$ ), and an h-current ( $g_{\text{h}}$ ) in the soma. In the dendrites, the model includes a  $\text{Ca}^{++}$  L-type conductance and a  $\text{Ca}^{++}$ -activated  $\text{K}^+$  conductance. The maximal conductances were derived from (Dai et al., 2002; Heckman and Binder, 1993) and fine-tuned to obtain a realistic  $i/f$  relationship (see Figure 4). Specific values for ATP production, ATPases, and other pumps for both cells are as in the model described above. For all the specific values of the parameters as well as for the construction of the conductances, see the Supplemental Experimental Procedures available online.

The  $\text{Ca}^{++}$  concentrations shown in Figure 7 are derived from the Figure 1 motor neuron and are based on a 2 s simulation.

### SUPPLEMENTAL INFORMATION

Supplemental Information includes Supplemental Experimental Procedures and can be found with this article online at <http://dx.doi.org/10.1016/j.neuron.2014.07.001>.

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