Theoretical implications of LHC results

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Abstract

We present a concise outlook of particle physics after the first LHC results at 7–8 TeV. The discovery of the Higgs boson at 126 GeV will remain as one of the major physics discoveries of our time. But also the surprising absence of any signals of new physics, if confirmed in the continuation of the LHC experiments, is going to drastically change our vision of the field. At present the indication is that nature does not too much care about our notion of naturalness. Still the argument for naturalness is a solid one and we are facing a puzzling situation. We review the established facts so far and present a tentative assessment of the open problems.

1. Introduction

The first phase of the LHC experiments with the runs at 7 and 8 TeV was concluded in December 2012. The accelerator is now shut down till 2015 for the replacement of the magnet connections needed to allow the energy increase up to 13 and 14 TeV. The main results so far can be summarised as follows. A great triumph was the discovery [1,2] (announced at CERN on July 4th, 2012) of a ~126 GeV particle that, in all its properties, appears just as the Higgs boson of the Standard Model (SM). With the Higgs discovery the main missing block for the experimental validation of the SM is now in place. The Higgs discovery is the last milestone in the long history (some 130 years) of the development of a field theory of fundamental interactions (apart from quantum gravity), starting with the Maxwell equations of classical electrodynamics, going through the great revolutions of Relativity and Quantum Mechanics, then the formulation of Quantum Electro Dynamics (QED) and the gradual build up of the gauge part of the Standard Model and finally completed with the tentative description of the Electro-Weak (EW) symmetry breaking sector of the SM in terms of a simple formulation of the Englert–Brout– Higgs mechanism [3]. An additional LHC result of great importance is that a large new territory has been explored and no new physics was found. If one considers that there has been a big step in going from the Tevatron at 2 TeV up to the LHC at 8 TeV (a factor of 4) and that only another factor of 1.75 remains to go up to 14 TeV, the negative result of all searches for new physics is particularly depressing but certainly brings a very important input to our field which implies a big change in perspective. In fact, while new physics can still appear at any moment, clearly it is now less unconceivable that no new physics will show up at the LHC. As well known, in addition to the negative searches for new particles, the constraints on new physics from flavour phenomenology are extremely demanding: when adding higher dimension effective operators to the SM, the flavour constraints generically lead to powers of very large suppression scales \( \Lambda \) in the denominators of the corresponding coefficients. In fact in the SM there are very powerful protections against flavour changing neutral currents and CP violation effects, in particular through the smallness of quark mixing angles. In this respect the SM is very special and, as a consequence, if there is new physics, it must be highly nongeneric in order to satisfy the present constraints. Only by imposing that the new physics shares the SM set of protections one can reduce the scale \( \Lambda \) down to o(1) TeV as, for example, in minimal flavour violation models [4]. One expected new physics at the EW scale based on a “natural” solution of the hierarchy problem [5]. The absence of new physics signals so far casts doubts on the relevance of our concept of naturalness. In the following we will elaborate on this naturalness crisis. Meanwhile we summarise the experimental information about the ~126 GeV Higgs particle.

2. Measured properties of the 126 GeV particle

The Higgs particle has been observed by ATLAS and CMS in five channels \( \gamma\gamma \), \( ZZ \), \( WW \), \( b\bar{b} \) and \( \tau^+\tau^- \). Also including the Tevatron experiments, especially important for the \( b\bar{b} \) channel, the combined evidence is by now totally convincing. The ATLAS (CMS) combined values for the mass are \( m_H = 125.5 \pm 0.6 \) (\( m_H = 125.7 \pm 0.4 \)). In order to be sure that this is the SM Higgs boson one must confirm
that the spin-parity-charge conjugation is $j^{PC}=0^{-+}$ and that the couplings are as predicted by the theory. Also it is essential to search for possible additional Higgs states as, for example, predicted in SUSY. We do not expect surprises on the $j^{PC}$ assignment because, if different, then all the Lagrangian vertices would be changed and the profile of the SM Higgs particle would be completely altered. The existence of the $H \rightarrow \gamma\gamma$ mode proves that spin cannot be 1 and must be either 0 or 2, in the assumption of an s-wave decay. The $b\bar{b}$ and $t^+t^-$ modes are compatible with both possibilities. With large enough statistics the spin-parity can be determined from the distributions of $H \rightarrow ZZ^{*}\rightarrow 4$ leptons, or $WW^{*}\rightarrow 4$ leptons [6]. Information can also be obtained from the HZ invariant mass distributions in the associated production [7]. The existing data already appear to strongly favour a $j^{PC}=0^{-+}$ state against $0^{-++}, 1^{-++}, 2^{-++}$.

The tree level couplings of the Higgs are in proportion to masses and, as a consequence, are very hierarchical. The loop effective vertices to $\gamma\gamma$, $Z\gamma$ and to $gg$, $g\gamma$ the gluon, are also completely specified in the SM, where no heavier than the top quark states exist that could contribute in the loop. As a consequence the SM Higgs couplings are predicted to exhibit a very special and very pronounced pattern [see, for example, Fig. 3 (right panel) of ref. [10]] which would be extremely difficult to fake by a random particle (only a dilaton, particle coupled to the trace of the energy-momentum tensor, could come close to simulate a Higgs particle, although in general there would be a universal rescaling of the sector models but actually a threat to all models with no fast decoupling (in that if new physics comes in a model with decoupling the absence of new particles at the LHC helps in explaining why large corrections to the H couplings are not observed).

The mass of the Higgs is in good agreement with the predictions from the EW precision tests analysed in the SM [13]. The possibility of a “conspiracy” (the Higgs is heavy but it falsely appears as light because of confusing new physics effects) has been discarded: the EW precision tests of the SM tell the truth and, in fact, consistently, no “conspirators”, namely no new particles, have been seen around.

3. The impact of the Higgs discovery

A particle that, within the present accuracy, perfectly fits with the profile of the minimal SM Higgs has been observed at the LHC. Thus, what was considered just as a toy model, a temporary addendum to the gauge part of the SM, presumably to be replaced by a more complex reality and likely to be accompanied by new physics, has now been experimentally established as the actual realisation of the EW symmetry breaking (at least to a very good approximation). If its role in the EW symmetry breaking will be confirmed it would be the only known example in physics of a fundamental, weakly coupled, scalar particle with vacuum expectation value (VEV). We know many composite types of Higgs-like particles, like the Cooper pairs of superconductivity or the quark condensates that break the chiral symmetry of massless QCD, but the LHC Higgs is the only possibly elementary one. This is a death blow not only to Higgsless models, to straightforward technicolor models and other unsophisticated strongly interacting Higgs sector models but actually a threat to all models with no fast enough decoupling (in that if new physics comes in a model with decoupling the absence of new particles at the LHC helps in explaining why large corrections to the H couplings are not observed).

4. Our concept of naturalness is challenged

The simplicity of the Higgs is surprising but even more so is the absence of accompanying new physics: this brings the issue of the relevance of our concept of naturalness at the forefront. As well known, in the SM the Higgs provides a solution to the occurrence of unitarity violations that, in the absence of a suitable remedy, occur in some amplitudes involving longitudinal gauge bosons as in $V_1 V_1$ scattering, with $V=W,Z$ [14]. To avoid these violations one needed either one or more Higgs particles or some new states (e.g. new vector bosons). Something had to happen at the few TeV scale!

While this was based on a theorem, once there is a Higgs particle, the threat of unitarity violations is tamed, and the necessity of new physics on the basis of naturalness has not the same status in the sense that it is not a theorem. Still the argument for naturalness is a solid conceptual demand that can be (once more!) summarised as follows. Nobody can believe that the SM is the definitive, complete theory but, rather, we all believe it is only an effective low energy theory. The dominant terms at low energy correspond to the SM renormalisable Lagrangian but additional nonrenormalisable terms should be added which are suppressed by powers (modulo logs) of the large scale $\Lambda$ where physics beyond the SM becomes relevant (for simplicity we write down only one such scale of new physics, but there could be different levels). The complete Lagrangian takes the general form:

$$\mathcal{L} = 0(\Lambda^4) + 0(\Lambda^6)\mathcal{L}_2 + 0(\Lambda)\mathcal{L}_3 + 0(1)\mathcal{L}_4 + o(\frac{1}{\Lambda})\mathcal{L}_5 + o(\frac{1}{\Lambda^2})\mathcal{L}_6 + \cdots$$

(1)

Here $\mathcal{L}_5$ are Lagrangian vertices of operator dimension $D$. In particular $\mathcal{L}_2 = \Phi^4\Phi$ is a scalar mass term, $\mathcal{L}_3 = \overline{\nu}\nu$ is a fermion mass term, $\mathcal{L}_4$ describes all dimension-4 gauge and Higgs interactions, $\mathcal{L}_5$ is the Weinberg operator [15] for neutrino masses.
(with two lepton doublets and two Higgs fields) and $L_0$ include 4-fermion operators (among other ones). The first line in Eq. (1) corresponds to the renormalisable part (that is, what we usually call the SM). The baseline power of the large scale $\Lambda$ in the coefficient of each $C_{\nu}$ vertex is fixed by dimensions. A deviation from the baseline power can only be naturally expected if some symmetry or some dynamical principle justifies a suppression. For example, for the fermion mass terms, we know that all Dirac masses vanish in the limit of gauge invariance and only arise when the Higgs VEV $\nu$ breaks the EW symmetry. The fermion masses also break chiral symmetry. Thus the fermion mass coefficient is not linear in $\Lambda$ modulo logs but actually behaves as $\log \Lambda$. An exceptional case is the Majorana mass term of right-handed neutrinos $\nu_R$, which is lepton number nonconserving but gauge invariant (because $\nu_R$ is a gauge singlet). In fact, in this case, one expects that $M_{\nu R} \sim \Lambda$. In the see-saw mechanism the combination of the effects of the neutrino Dirac and Majorana mass terms plus the contribution of the dim-5 Weinberg operator leads to a natural explanation of the small light-neutrino masses as inversely proportional to the large scale $M_{\nu R} \sim \Lambda$, where lepton number nonconservation occurs. As another example, proton decay arises from a 4-fermion operator in $L_0$ suppressed by $1/\Lambda^2$, where, in this case, $\Lambda$ could be identified with the large mass of lepto-quark gauge bosons that appear in Grand Unified Theories (GUT).

The hierarchy problem arises because the coefficient of $L_2$ is not suppressed by any symmetry. This term, which appears in the Higgs potential, fixes the scale of the Higgs VEV and of all related masses. Since empirically the Higgs mass is light (and, by自然界ness, it should be of $\mathcal{O}(\Lambda)$) we would expect that $\Lambda$, i.e. some form of new physics, should appear near the TeV scale. The hierarchy problem can be put in very practical terms (the "little hierarchy problem"): loop corrections to the Higgs mass squared are quadratic in $\Lambda$. The most pressing problem is from the top loop. With $m_t^2 = m_t^2_{\text{tree}} + \delta m_t^2$, the top loop gives

$$\delta m_{\text{top}}^2 \sim -\frac{3G_F}{2\sqrt{2}\pi^2}m_t^2\Lambda^2 \sim -(0.2\Lambda)^2.$$  

(2)

If we demand that the correction does not exceed the light Higgs mass observed by experiment (that is, we exclude an unexplained fine-tuning) $\Lambda$ must be close, $\Lambda \sim \mathcal{O}(1 \text{ TeV})$. Similar constraints also arise from the quadratic $\Lambda$ dependence of loops with exchanges of gauge bosons and scalars, which, however, lead to less pressing bounds. So the hierarchy problem strongly indicates that new physics must be very close (in particular the mechanism that quenches or compensates the top loop).

On the other hand it is true that the SM theory is renormalizable, and if one introduces the observed mass values by hand, as an external input, and the hierarchy problem is ignored, the resulting theory is completely finite and predictive. If you do not care about fine tuning you are not punished! In this sense the naturalness argument for new physics at the EW scale is not a theorem but a conceptual demand: only if we see $\Lambda$ not as a mathematical cut off but as the scale of new physics that removes the quadratic ultraviolet sensitivity, then the strong indication follows that the new physics threshold must be nearby.

It is by now many years that the theorists are confronted with the hierarchy problem. The main proposed classes of solutions are listed in the following.

(1) Supersymmetry: In the limit of exact boson-fermion symmetry the quadratic $\Lambda$ dependence from the Higgs sector cancels between fermionic and bosonic contributions and only a logarithmic dependence remains. However, exact SUSY is clearly unrealistic. For approximate SUSY (with soft breaking terms and R-parity conservation), which is the basis for most practical models, $\Lambda^2$ is essentially replaced by the splitting of SUSY multiplets: $\Lambda^2 = m_{\text{SUSY}}^2 - m_{\text{soft}}^2$. In particular, the top loop is quenched by partial cancellation with s-top exchange, so the s-top cannot be too heavy (if its mass increases the fine tuning increases quadratically). What is unique to SUSY with respect to most other extensions of the SM is that SUSY models are well defined, weakly coupled (perturbative up to $M_{\text{Pl}}$) and, moreover, are not only compatible but actually quantitatively supported by coupling unification and GUT’s. The neutralino is an excellent Dark Matter candidate (the gravitino is another possibility).

(2) A strongly interacting EW symmetry breaking sector: The archetypal model of this class is Technicolor where the Higgs is a condensate of new fermions. In these theories there is no fundamental scalar Higgs field, hence no quadratic divergences associated to the $\mu^2$ mass in the scalar potential. But this mechanism needs a very strong binding force, $\Lambda_{\text{TC}} \sim 10^{13} \text{ GeV}$. It is difficult to arrange that such nearby strong force is not showing up in precision tests. Hence this class of models has been abandoned after LEP, although some special classes of models have been devised aposteriori, like walking TC, top-color assisted TC etc. But the simplest Higgs observed at the LHC has now eliminated this score of these models. Modern strongly interacting models, like the little Higgs models [16] (in these models extra symmetries allow $m_{\nu} \neq 0$ only at two-loop level, so that $\Lambda$ can be as large as $\mathcal{O}(10 \text{ TeV})$), or the composite Higgs models [17,18], where a nonperturbative dynamics modifies the linear realisation of the gauge symmetry and the Higgs has both elementary and composite components, are more sophisticated. All these modern models share the idea that the Higgs is light because it is the pseudo-Goldstone boson of an enlarged global symmetry of the theory, for example $SO(5)$ broken down to $SO(4)$. There is a gap between the mass of the Higgs (similar to a pion) and the scale $f$ where new physics appears in the form of resonances (similar to the $p$, etc.). The ratio $\xi = \sqrt{f^2} / 4\Lambda$ defines a degree of compositeness that interpolates between the SM at $\xi = 0$ up to technicolor at $\xi = 1$. Precision EW tests impose that $\xi < 0.05-0.2$. In these models the bad quadratic behaviour from the top loop is softened by the exchange of new vector-like fermions with charge 2/3 or even with exotic charges like 5/3, for example [19,20].

(3) Extra dimensions [21,22]: This possibility is very exciting in itself and is indeed remarkable that it is compatible with experiment. It provides a very rich framework with many different scenarios. The general idea is that $M_{\text{Pl}}$ appears to be very large, or equivalently that gravity appears very weak, because we are fooled by hidden extra dimensions so that either the true gravity scale in D dimensions is reduced down to a lower scale, even possibly down to $\mathcal{O}(1 \text{ TeV})$ or the intensity of gravity is red shifted away by an exponential space-time warping factor like in the Randall–Sundrum models [22] where an exponential “warping” factor multiplies the ordinary 4-dimensional coordinates in the metric: $dS^2 = e^{-2\phi \eta_\mu dx^\mu} dx^\nu dx^\rho - R^2 \phi^2$ where $\phi$ is the extra coordinate. This nonfactorisable metric is a solution of Einstein equations with specified 5-dimensional cosmological term. Two 4-dimensional branches are localised at $\phi = 0$ (the Planck or ultraviolet brane) and at $\phi = \pi$ (the infrared brane). Mass and energy on the infrared brane are redshifted by the $\sqrt{g_{00}}$ factor. The hierarchy suppression $m_W / M_{\text{Pl}}$ arises from the warping exponential $e^{-2\phi}$, for not too large values of the warp factor exponent: $k_R \sim 12$ (extra dimension are not “large” in this case). A generic feature of extra dimensional models is the occurrence of Kaluza–Klein (KK) modes. Compactified dimensions with periodic boundary conditions, like the case of quantisation in a box, imply a discrete momentum $p = n/\Pi$ and mass squared $m^2 = n^2 / \Pi^2$. In any case there is a tower of KK recurrences of the graviton because gravity, related to geometry, spans all of the bulk. The SM fields can be located either in the bulk or on the infrared brane, but the Higgs is always on the infrared brane or very close to it. Quark and leptons have widely different masses depending on the overlap of their
wave function with the infrared brane. The exponential warping can explain the different masses of quark and lepton flavours in terms of relatively minor changes in the exponent, offering a new approach to the flavour problem [23]. Higgs compositeness and extra dimensions are simultaneous ingredients of some “holo-
graphic” models that combine the idea of the Higgs as a Goldstone boson and warped extra dimensions (see, for example, [24]). It can be considered as a new way to look at walking technicolor using the AdS/CFT correspondence. In 4-dim the bulk appears as a strong sector. The 5-dimensional theory is weakly coupled so that the Higgs potential and some EW observables can be computed.

(4) The anthropic evasion of the problem: extreme but not excluded. This rather metaphysical point of view is motivated by the fact that the observed value of the cosmological constant \( \Lambda \) also poses a tremendous, unsolved naturalness problem [25] (corresponding to the constant term in Eq. (1)). Yet the value of \( \Lambda \) is close to the Weinberg upper bound for galaxy formation [26]. Possibly our Universe is just one of infinitely many bubbles (Multiverse) continuously created from the vacuum by quantum fluctuations (based on the idea of chaotic inflation). Different physics takes place in different Universes according to the multitude of string theory solutions (\( \sim 10^{50} \) [27]). Perhaps we live in a very unlikely Universe but the only one that allows our existence [28,29]. Given the stubborn refuse of the SM to step aside, and the terrible unexplained naturalness problem of the cosmological constant, many people have turned to the anthropic philosophy also for the SM. Actually applying the anthropic principle to the SM hierarchy problem is not so convincing. After all, we can find plenty of models that reduce the fine tuning from \( 10^{14} \) down to \( 10^{10} \). And the added ingredients apparently would not make our existence less possible. So why make our Universe so terribly unlikely? Indeed one can argue that the case of the cosmological constant is a lot different: the context is not as fully specified as the for the SM. Also so far there is no natural theory of the cosmological constant.

The naturalness principle has been and still remains the main motivation for new physics at the weak scale. But at present our confidence on naturalness as a guiding principle is being more and more challenged. No direct or indirect compelling evidence of new physics was found at the LHC and at any other laboratory experiments (arguments for new physics either come from theory, like coupling unification, quantum gravity, etc. or from the sky, like Dark Matter, baryogenesis etc.). The most plausible laboratory candidate is the muon g-2 discrepancy [30,31] but there are doubts that the theory error from hadronic corrections, especially from light by light scattering diagrams, might have been underestimated. By now a considerable amount of fine tuning is anyway imposed on us by the data. So the questions are: does nature really care about our concept of naturalness? Which forms of naturalness are natural?

The LHC results have already induced some change of perspective that is reflected in the present literature. One direction of research is to build models where naturalness is restored not too far from the weak scale but the related new physics is arranged in such a way that it was not visible so far. On a different direction there has been a revival of models with large fine tuning that disregard the naturalness principle in part or even completely and explore viable models (for example with respect to Dark Matter, coupling unification, neutrino masses, baryogenesis…). In the following I will briefly discuss these two main lines of development.

5. Insisting on minimal fine tuning

Let us first consider natural (as much as possible) SUSY models. For SUSY the simplest ingredients introduced in order to decrease the fine tuning are either the assumption of a split spectrum with heavy first two generations of squarks (for some recent work along this line see [32]) or the enlargement of the Higgs sector of the MSSM by adding a singlet Higgs field [33] (Next-to-minimal SUSY SM: NMSSM) or both.

In the MSSM the naturalness requirement can be read from the simplest tree-level relation:

\[
\frac{m^2}{2} = -|\mu|^2 + m_{h_0}^2 \tan^2 \beta - m^2_{H_u} \frac{1}{1 - \tan^2 \beta}
\]

where \( \mu \) is the coupling of the \( \mu H_u H_d \) term in the superpotential and \( |\mu|^2 + m_{h_0}^2 \) are the coefficients of the \( |H_u^0|^2 \) terms in the Higgs potential. Note that \( \mu \) is present in the unbroken SUSY limit while \( m_{h_0}^2 \) are part of the soft SUSY-breaking terms. To avoid fine tuning \( \mu \) and \( H_u H_d \) must be of the same order and relatively light. Since \( \mu \) is related to the Higgsino mass this directly implies that Higgsinos must be not too heavy (Higgsinos are components of the neutralino-chargino sector so at least some of these particles must be rather light). As already mentioned, for naturalness in the MSSM one needs to quench the bad behaviour of the loops in the radiative corrections to the Higgs mass. This leads to the requirement of a relatively light stop mass (and consequently the s-bottom mass). But also the gluino must not be too heavy. In fact it corrects the Higgs mass at two loops but, given the large value of the strong coupling constant \( \alpha_s \), its contribution is large if the gluino is too heavy. The masses of the other s-particles, including the squarks of the first two generations, are not important for naturalness and can be made very heavy. If this pattern will be confirmed by experiment it will provide us with an important clue on the underlying mechanism of generation of the soft SUSY-breaking terms. Note that the light Higgs mass in the MSSM is given by (in the limit \( m_A^2 > m_Z^2 \))

\[
m_h^2 = m_Z^2 \cos^2 2\beta + \frac{3|\mu|^2}{\sqrt{2} \pi^2} \left( \log \frac{M_{stop}^2}{m_t^2} + \frac{X_t^2}{M_{stop}^2} \left( 1 - \frac{X_t^2}{12 M_{stop}^2} \right) \right)
\]

where \( M_{stop} = \sqrt{m_1 m_2} \) is the geometrical mean of the stop mass eigenvalues \( m_1 \) and \( X_t = A_t - \mu \cot \beta \) with \( A_t \) the stop mixing parameter. The observed value of the Higgs mass requires a rather large correction: \( 126^2 \sim 91^2 + 87^2 \), at the upper edge of the allowed interval in the MSSM. This implies a large \( M_{stop} \) and/or a large \( X_t \sim \sqrt{6} M_{stop} \), i.e. close to the value that maximises the correction. Thus, to reproduce the observed \( m_h \) value, the log in Eq. (4) must be somewhat large and then we loose quadratically on the fine tuning. The strong experimental lower bounds on gluino and degenerate s-quark masses, which by now are at about 1.5 TeV, do not apply if this spectrum is realised. The limits on the gluino and 3rd family s-quarks, obtained assuming decay modes compatible with this case, like, e.g. \( \tilde{g} \rightarrow t \tilde{t} \chi \), \( t \rightarrow t \chi^0 \), \( \tilde{t} \rightarrow b \chi^+ \), etc. become crucial (note that all assume neutralinos and or charginos sufficiently light). ATLAS and CMS have recently concentrated on the searches for these modes and the resulting limits on natural SUSY are already significant although not yet conclusive as they depend on the assumed branching ratios.

Another much studied possibility is to enlarge the Minimal (MSSM) to the Next-to-Minimal (NMSSM) by adding a singlet Higgs \( S \) [33]. This possibility looks attractive on different counts. If a parity-like assignment forbids the \( H_d H_d \) coupling but allows the vertex \( SH_u H_d \), then the \( \mu \) term arises from the S VEV and this could help solving the \( \mu \) problem (given that the \( \mu \) term is allowed in the SUSY symmetric limit, why is it of the same size than the soft terms that break SUSY?). In the CP even sector we now have three states \( (H, h_2, h_1) \). Normally the lightest one, \( h_1 \), coincides with the LHC state. However the possibility that the LHC state is not the lightest one is not excluded. In this case \( h_1 \) is hidden in the
LEP2 range where it was not seen because of suppressed $h_1 \to VV$ couplings. In the presence of the extra singlet $S$, new terms appear in the tree level relation for the light Higgs mass. The general formulae are complicated but in the limit of decoupling the heavy Higgs states one finds the typical expression:

$$m_h^2 = m_Z^2 \cos^2 2\beta + \lambda v^2 \sin^2 2\beta.$$  

Then a smaller radiative correction is needed, hence a lighter stop has been a revival of models that ignore the several Dark Matter and coupling uni heavy. The measured Higgs mass imposes an upper limit to the same charge as the top quark or even with a different charge. For models the cancelation occurs with a fermion, either with the quadratic sensitivity of the top loop correction to the Higgs mass is $\xi$ models lead to upper bounds on $\xi$: while in SUSY models the theoretical errors or, otherwise, to some specific breaking chains of $\xi$ must be discarded and the Pati–Salam symmetry at the intermediate scale emerges as the optimal solution. We show that all these different phenomena can be satisfied in this fully specified, although schematic, GUT model, with a single intermediate scale at $M_{GUT} \sim 10^{11}$ GeV. In fact, within this breaking chain, the see-saw and leptonogenesis mechanisms can both be made compatible with $M_1 \sim 10^{11}$ GeV, which is consistent with the theoretical lower limit on the lightest heavy right-handed neutrino for sufficient leptonogenesis [46] given by $M_1 \gtrsim 10^7$ GeV. The same intermediate scale $M_1$ is also suitable for the axion to reproduce the correct Dark Matter abundance. One should one day observe proton decay and neutrino-less beta decay. None of the alleged indications for new physics at colliders should survive (in particular even the claimed muon ($g-2$) [31] discrepancy should be attributed, if not to an experimental problem, to an underestimate of the theoretical errors or, otherwise, to some specific addition to the above model [47]). This model is in line with the nonobservation of $\mu \to e\gamma$ at MEG [48], of the electric dipole moment of the neutron [49] etc. It is a very important challenge to experiment to falsify this scenario by establishing a firm evidence of new physics at the LHC or at another “low energy” experiment.

7. Conclusion

From the first LHC phase we have learnt very important facts. A Higgs particle has been discovered which is compatible with the elementary, weakly coupled Higgs boson of the minimal SM version of the EW symmetry breaking sector. No clear signal of new physics has been found by ATLAS, CMS and LHCb. On the basis measured values of the top and Higgs masses and of the strong coupling constant, the evolution of the Higgs quartic coupling ends up into a narrow metastability wedge at very large energies. This criticality looks intriguing and perhaps it should tell us something.

The absence of new physics at the EW scale appears as a paradox to most of us. But possibly nature has a way, hidden to us, to realise a deeper form of naturalness at a more fundamental level. Indeed the picture suggested by the last 20 years of data is simple and clear: just take the SM, extended to include Majorana neutrinos, as the theory valid up to very high energy. It is impressive to me that, if one forgets the fine tuning problem, the SM can stand up well beyond the LHC range with only a few additional ingredients. The most compelling evidence for new physics is Dark Matter. But a minimal explanation for Dark Matter could be provided by axions, introduced originally to solve the strong CP problem [41], which only need a modest enlargement of the SM with some heavy new particles and a Peccei–Quinn additional global symmetry [42–44]. The Majorana neutrino sector with violation of B–L and new sources of CP violation offers an attractive explanation of baryogenesis through leptonogenesis [45]. Coupling unification and the explanation of the quantum numbers of fermions in each generation in a non-SUSY context can be maintained in $SO(10)$ with two (or more ) steps of symmetry breaking at $M_{GUT}$ and at an intermediate scale $M_I$. We have recently discussed an explicit example of a non-SUSY $SO(10)$ model [39], with a single intermediate breaking scale $M_I$ between $M_{GUT}$ and the electroweak scale, compatible with the following requirements: unification of couplings at a large enough scale $M_{GUT}$ compatible with the existing bounds on the proton life-time; a Yukawa sector in agreement with all data on flavour physics, fermion masses and mixings, also including neutrinos, as well as with leptonogenesis as the origin of the baryon asymmetry of the Universe: an axion, which arises from the Higgs sector of the model, suitable to solve the strong CP problem and to account for the observed amount of Dark Matter. It turns out that imposing all these requirements is very constraining, so that most of the possible breaking chains of $SO(10)$ must be discarded and the Pati Salam symmetry at the intermediate scale emerges as the optimal solution. We show that all these different phenomena can be satisfied in this fully specified, although schematic, GUT model, with a single intermediate scale at $M_1 \sim 10^{11}$ GeV. In fact, within this breaking chain, the see-saw and leptonogenesis mechanisms can both be made compatible with $M_1 \sim 10^{11}$ GeV, which is consistent with the theoretical lower limit on the lightest heavy right-handed neutrino for sufficient leptonogenesis [46] given by $M_1 \gtrsim 10^7$ GeV. The same intermediate scale $M_1$ is also suitable for the axion to reproduce the correct Dark Matter abundance. One should one day observe proton decay and neutrino-less beta decay. None of the alleged indications for new physics at colliders should survive (in particular even the claimed muon ($g-2$) [31] discrepancy should be attributed, if not to an experimental problem, to an underestimate of the theoretical errors or, otherwise, to some specific addition to the above model [47]). This model is in line with the nonobservation of $\mu \to e\gamma$ at MEG [48], of the electric dipole moment of the neutron [49] etc. It is a very important challenge to experiment to falsify this scenario by establishing a firm evidence of new physics at the LHC or at another “low energy” experiment.
of naturalness one was expecting a more complicated reality. Nature appears to disregard our notion of naturalness and rather indicates an alternative picture where the SM, with a few additional ingredients, is valid up to large energies. It is crucial for future experiments at the LHC and elsewhere to confirm the properties of the Higgs and the absence of new physics.

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