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Nucleus volume: $\approx 10 \%$ of cell volume Cell membrane thickness: $\approx 4-10 \mathrm{~nm}$
"Average" protein diameter: $\approx 3-6 \mathrm{~nm}$
Base pair: 2 nm (D) $\times 0.34 \mathrm{~nm}(\mathrm{H})$
Water molecule diameter: $\approx 0.3 \mathrm{~nm}$

## Energetics

Membrane potential $\approx 70-200 \mathrm{mV} \rightarrow 2-6 \mathrm{k}_{\mathrm{B}} \top$ per electron ( $k_{\mathrm{B}} \mathrm{T} \equiv$ thermal energy)

Free energy ( $\Delta \mathrm{G}$ ) of ATP hydrolysis under physiological conditions
$\approx 40-60 \mathrm{~kJ} / \mathrm{mol} \rightarrow \approx 20 \mathrm{k}$ T/molecule ATP; ATP molecules required during an $E$. coli cell cycle $\approx 10-50 \times 10^{9}$
$\Delta G^{0}$ resulting in order of magnitude ratio between product and reactant concentrations:
$\approx 6 \mathrm{~kJ} / \mathrm{mol} \approx 60 \mathrm{meV} \approx 2 \mathrm{k}_{\mathrm{B}} \mathrm{T}^{-}$
Sater molecule

Useful biological numbers extracted from the literature. Numbers and ranges should only serve as "rule of thumb" values. References are in the online annotated version at www.BioNumbers.org. See the website and original references to learn about the details of the system under study including growth conditions, method of measurement, etc.

# SnapShot: Key Numbers in Biology 

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Biology is becoming increasingly quantitative. Taking stock of key numbers in cell and molecular biology enables back-of-the-envelope calculations that test and sharpen our understanding of cellular processes. Further, such calculations provide a quantitative context for the torrent of data from new experimental techniques. However, such useful numbers are scattered in the vast biological literature in a way that often leads to a frustrating literature-mining ordeal. Here, we have collected a set of basic numbers in biology that we find extremely useful for obtaining an order of magnitude feel for the molecular processes in cells. Several examples (see below) show how to combine these numbers to think about biological questions. The values should be considered rules of thumb rather than definitive values as variety is the spice of life and variability is ever present in biology. This compilation is based on the BioNumbers wiki project (http://www.BioNumbers.org) where these and the values of several thousand other biological properties are provided together with their experimental context and references to the primary literature.

## Is There Enough Time to Replicate the Genome?

The bacterium Escherichia coli has a genome of roughly 5 million base pairs (bp) and a replication rate in the range of 200-1000 bp/s. These numbers imply that it should take the two replisomes at least 2500 s to replicate the genome, a number that is much larger than the maximal division rate of $\sim 20 \mathrm{~min}$. How can this be? It turns out that, under ideal conditions, E. coli uses nested replication forks that begin to replicate the DNA for the granddaughter and great granddaughter cells before the daughter cells have even completed replication.

## How Many Mutations in a 5 ml Culture of Bacteria?

Using the $10^{-9} / \mathrm{bp}$ mutation rate of $E$. coli per replication and a genome size of $\sim 10^{7}$ (both strands), we predict $\sim 10^{-2}$ mutations per genome replication. In a 5 ml saturated culture (optical density $\sim 2.0$ ) of $E$. coli, there are about $10^{9}$ to $10^{10}$ cells. The final doubling of this culture requires the replication of $\sim 10^{\circ}$ cells, thus even this last cell division event would be responsible for $\sim 10^{7}$ single base pair substitutions. If the culture started with a single bacterium, every single nonlethal base pair substitution in the $E$. coli genome is likely to be represented in the culture.

## How Long to Reach Confluence?

In a 96 multiwell plate, each well has a diameter of 5 mm (i.e., an area of $\approx 20 \mathrm{~mm}^{2}=2 \times 10^{7} \mu \mathrm{~m}^{2}$ ). Given that the diameter of a HeLa cell is $\approx 25 \mu \mathrm{~m}$ (i.e., $\approx 500 \mu \mathrm{~m}^{2}$ area), it takes roughly 40,000 cells to reach confluence. Starting with a single cell (obtained by cell sorting rather than cell splitting) with a generation time of about 1 day, the time to reach confluence is about 2 weeks.

## How "Dense" Is a Saturated E. coli Culture?

A saturated $E$. coli culture has about $10^{9} \mathrm{cells} / \mathrm{ml}$. Given that each cell is about $10^{-12}$ grams, we get a cell concentration of about $1 \mathrm{mg} / \mathrm{ml}$ or about 1 part in a thousand of the mass (or volume). The mean spacing between the cells is roughly $10 \mu \mathrm{~m}$ (which is not as dense as the concentration of bacteria in the gut of the termite where densities are typically a factor of ten higher).

## How Many Carbon Atoms Are in a Cell?

A cell with a volume of $1 \mu \mathrm{~m}^{3}$ and a density of about $1 \mathrm{~g} / \mathrm{ml}$ has a total mass of $10^{-12}$ grams. From the formula $\mathrm{C}_{4} \mathrm{H}_{7} \mathrm{O}_{2} \mathrm{~N}_{1}$ and the weights of the elements, we derive a carbon content of about $12 \times 4 /(12 \times 4+7+2 \times 16+14)=48 / 101$ or about one half of the dry mass. With $30 \%$ dry mass ( $70 \%$ water), we obtain $\sim 10^{-13}$ gm of carbon. Next we transformed the number of molecules using Avogadro's constant: $6 \times 10^{23} \times 10^{-13} / 12=5 \times 10^{9}$ carbon atoms per cell. To verify this, we have done the calculation in a different way: assuming there are about $3 \times 10^{6}$ proteins, each one consisting of about 300 amino acids, we get a total of $\sim 10^{9}$ amino acids. An amino acid has about five carbon atoms, so we arrive at a similar value. Both estimates depend linearly on the cell volume, which can vary significantly based on growth conditions.

## How Far Can Macromolecules Move by Diffusion?

It takes about 10 s on average for a protein to traverse a HeLa cell. An axon 1 mm long is about 100 times longer than a HeLa cell, and as the diffusion time scales as the square of the distance it would take $10^{5}$ seconds or $\sim 2$ days for a molecule to travel this distance by diffusion. This demonstrates the necessity of mechanisms other than diffusion for moving molecules long distances. A molecular motor moving at a rate of $\sim 1 \mu \mathrm{~m} / \mathrm{s}$ will take a "reasonable" time ( $\sim 15 \mathrm{~min}$ ) to traverse an axon 1 mm in length.

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