## A voltage-dependent gap junction in Drosophila melanogaster

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ABSTRACT Steady-state and kinetic analyses of gap junctional conductance,  $g_{i}$ , in salivary glands of Drosophila melanogaster third instar larvae reveal a strong and complex voltage dependence that can be elicited by two types of voltages. Voltages applied between the cells, i.e., transjunctional voltages, V<sub>i</sub>, and those applied between the cytoplasm and the extracellular space, inside-outside voltages,  $V_{i,o}$ , markedly alter  $g_i$ . Alteration of  $V_{i,o}$  while holding  $V_i = 0$ , i.e., by equal displacement of the voltages in the cells, causes g<sub>i</sub> to increase to a maximum on hyperpolarization and to decrease to near zero on depolarization. These conductance changes associated with V<sub>10</sub> are fit by a model in which there are two independent gates in series, one in each membrane, where each gate is equally sensitive to V<sub>io</sub> and exhibits first order kinetics. V's generated by applying voltage steps of either polarity to either cell, substantially reduce g<sub>i</sub>. These conductance changes exhibit complex kinetics that depend on V<sub>io</sub> as well as V<sub>i</sub>. At more positive  $V_{io}$ 's, the changes in  $g_i$  have two phases, an early phase consisting of a decrease in  $g_i$  for either polarity of  $V_i$  and a later phase consisting of an increase in g<sub>i</sub> on hyperpolarizing either cell and a decrease on depolarizing either cell. At negative V<sub>in</sub>'s in the plateau region of the  $g_i$ - $V_{io}$  relation, the later slow increase in  $g_i$  is absent on hyperpolarizing either cell. Also, the early decrease in  $g_i$ for either polarity of  $V_i$  is faster the more positive the  $V_{i,0}$ . The complex time course elicited by applying voltage steps to one cell can be explained as combined actions of  $V_{i,o}$  and  $V_i$ , with the early phase ascribable to  $V_i$ , but influenced by  $V_{i,o}$ , and the later phase to the changes in  $V_{i,o}$  associated with the generation of  $V_i$ . The substantially different kinetics and sensitivity of changes in  $g_i$  by  $V_{i,o}$  and  $V_i$ suggests that the mechanisms of gating by these two voltages are different. Evidently, these gap-junction channels are capable of two distinct, but interactive forms of voltage dependence.

### INTRODUCTION

Gap junctions mediate intercellular chemical and electrical communication in a wide variety of tissues. In some cells, gap junctional conductance,  $g_j$ , exhibits a strong dependence on voltage (Spray et al., 1981; Obaid et al., 1983; see also Spray et al., 1985) with sensitivities, expressed in terms of equivalent charge movement, comparable to those for ion channels in excitable membranes (Hille, 1984). However, analyses of cloned cDNA sequences from several vertebrate tissues (Paul, 1986; Kumar and Gilula, 1986; Beyer et al., 1987; Gimlich et al., 1988; Ebihara et al., 1989; Zhang and Nicholson, 1989) indicate that gap junction proteins (connexins) are unrelated to the family of voltage-sensitive ion channels that include those selective for Na<sup>+</sup>, K<sup>+</sup>, and Ca<sup>++</sup> (see Caterall, 1988). In particular there is no obvious homologue or analogue of the S4 domain to which voltage sensitivity of activation is ascribed (Stuhmer et al., 1989). Furthermore, whereas ion channels that span a single membrane are sensitive to changes in the transmembrane voltage, gap-junction channels can be sensitive to two different voltages, the voltage difference between the cells, transjunctional voltage,  $V_i$ , and the voltage between the cytoplasm or channel interior and the extracellular space, inside-outside voltage,  $V_{i,o}$ .

These two types of voltage dependence are possible because of the distinctive structure of the gap-junction channel, which consists of two hemichannels, one in each membrane of two cells in close apposition. The hemichannels are joined at the center of the intercellular gap between the cells (Makowski et al., 1977; Unwin and Zampighi, 1980). In the case of a coupled cell pair, gating by  $V_{i,o}$  could be induced by displacing the voltage in both cells equally. This voltage would be developed across the channel macromolecule between both the cytoplasm and lumen of the channel and the extracellular space (Fig. 1). The high coupling coefficients possible between well coupled cells indicates that there is little leakage from gap-junction channels into the extracellular space (Bennett, 1977) so that  $V_{i,p}$  would essentially be uniform along the channel. When the voltages in the two cells are made unequal to establish  $V_{i}$ , then  $V_{i-0}$  would again be developed except that it would be nonuniform along the channel. Thus, placing cells at unequal potentials necessarily imposes both  $V_{i-0}$  and  $V_j$ . If only  $V_j$ sensitivity were present, the effect on  $g_i$  would be independent of the cell potentials from which  $V_i$  was

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FIGURE 1 Diagram of a gap-junction channel showing presumed isopotential lines in the presence of a resting potential  $(V_{io})$  and no  $V_i$  (*lower half*) and when both  $V_{io}$  and  $V_j$  are present (*upper half*). Arrows indicate field direction and suggest approximate magnitude.

generated and the same effect would result from hyperpolarization or depolarization of either cell.

Gap junctional voltage dependence, whether to  $V_i$  or  $V_{i,o}$ , varies among tissues in time course, sensitivity, and dependence on polarity. In certain electrical synapses of crayfish and hatchetfish,  $g_i$  rectifies and is much greater for the presynaptic cell positive relative to the postsynaptic cell (Furshpan and Potter, 1959; Auerbach and Bennett, 1969; Margiotta and Walcott, 1982). Rectification is very fast (<0.2 ms) as would be required for impulse transmission and appears to be solely dependent on  $V_i$  (Giaume and Korn, 1985; Jaslove and Brink, 1986). In amphibian and tunicate embryos,  $V_i$  of either polarity strongly reduces g<sub>i</sub> (Spray et al., 1981; Knier and Bennett, 1985), with symmetric reduction in  $g_i$  around  $V_i = 0$ . Conductance changes are slow compared to many voltage-gated channels and time constants to reach steady state are in the range of tens to hundreds of milliseconds. These symmetrically  $V_i$ -dependent junctions also show little or no sensitivity to  $V_{i,o}$  and the same changes in  $g_i$  are produced by equal depolarizing and hyperpolarizing steps applied to either cell. In Chironomus salivary glands,  $g_i$  is strongly dependent on  $V_{i,o}$  with  $g_i$ reduced by equal depolarization of cells, i.e., with Vmaintained at zero (Obaid et al., 1983). Although the Chironomus junctions were reported to be unaffected by  $V_{\rm i}$ , some dependence on  $V_{\rm i}$  is present in the data presented by these authors. Gap junctions between rat neonatal cardiac myocytes (Rook et al., 1988), rat hepatocytes (Spray et al., 1990) and Xenopus oocytes expressed from connexin 32 or 26 cRNA (Barrio et al., 1990) were more recently reported to display voltage dependence of the transjunctional type. Gap junctions in many other preparations have little if any voltage dependence, including crayfish (Johnston and Ramon, 1982) and earthworm septate axons (Verselis and Brink, 1984), adult rat ventricular myocytes (White et al., 1985), and rat lacrimal gland cells (Neyton and Trautmann, 1985).

In this paper we describe voltage dependent gating of gap junctions in salivary gland cells from *Drosophila* melanogaster. Junctional conductance is strongly dependent on both  $V_{i\circ0}$  and  $V_j$  and we provide the first quantitative analysis of voltage gating of this type. The data indicate that  $V_{i\circ0}$  and  $V_j$  dependencies reside within the same channel and that  $V_j$  dependence is influenced by  $V_{i\circ0}$ . Dependence on  $V_{i\circ0}$  and  $V_j$  may arise from a common gating domain sensitive to both potentials or from distinct, but interacting gating domains, each primarily responsive only to  $V_{i\circ0}$  or to  $V_j$ . Multiple gating domains may interact by virtue of their series arrangement along the channel. Some of these data have been presented in abstract form (Verselis et al., 1990).

#### METHODS

### Preparation of cell pairs

Flies were cultured in standard cornmeal media at 25°C. Salivary glands were excised from third instar larvae and mechanically dissociated with glass microelectrodes into pairs in a solution containing (in millimolar) 100 K<sub>2</sub>SO<sub>4</sub>, 2 MgSO<sub>4</sub>, 2 CaCl<sub>2</sub>, 5 TES, 10 glucose, 0.3 mg/ml collagenase, and adjusted to pH 7.3 with KOH. The pairs are transferred to minimal *Drosophila* medium (MDM) containing (in millimolar) 36 NaCl, 34 KCl, 2 CaCl<sub>2</sub>, 15 MgCl<sub>2</sub>, 5 NaHCO<sub>3</sub> 10 Hepes, 2 g/L glucose, 2 g/L trehalose, and 1.8 g/L glutamine (pH 7.2 with NaOH) for electrical recording.

## Measurement of junctional conductance (g<sub>i</sub>)

Microelectrodes were pulled to resistances of 15–20 M $\Omega$  when filled with 300 mM K-citrate, 50 mM KCl, and 1 mM Hepes, pH 7.4. The electrodes were beveled to resistances of 8–10 M $\Omega$  on a rotating plate with 0.05 µm abrasive (Sutter Instrument Co., San Rafael, Ca). Each cell of a pair was impaled with two microelectrodes, one to record voltage and one to pass current. Junctional ( $g_i$ ) and nonjunctional ( $g_{nj}$ ) conductances were evaluated in the following manner. Each cell was clamped by an independent clamp circuit. From a common holding potential,  $V_{h}$ , one cell (e.g., cell 1) was stepped to a new voltage,  $V_{i}$ , which produced current flow,  $I_{i}$ , from clamp 1. Part of  $I_{i}$  flowed across the nonjunctional membrane,  $I_{nj(1)}$ , and the rest through the junction into cell 2 as the junctional current,  $I_{j}$ , which was measured by clamp 2 as the current required to maintain  $V_{2}$  constant. Thus,  $I_{j} = -I_{2}$ . Because cell 2 was maintained at  $V_{h}$ ,  $g_{j}$  was directly obtained from:

$$g_j = I_j/(V_1 - V_h).$$

The nonjunctional current for cell 1 could be obtained by subtracting  $I_j$  from the total current  $(I_1)$  so that  $g_{nj(1)}$  could be calculated from:

$$g_{nj(1)} = (I_1 - I_j)/(V_1 - V_h)$$

Stepping cell 2 while holding cell 1 constant allowed measurement of  $g_{nj(2)}$  and provided a test for symmetry of  $g_{j}$ .

### RESULTS

### The influence of $V_{i_{i_0}}$ on $g_i$

The  $V_{i,o}$  sensitivity of  $g_i$  was examined by stepping both cells of a coupled pair equally and simultaneously over a range of negative and positive membrane potentials. Equal displacement of the membrane potentials altered  $V_{i=0}$ , but maintained  $V_i$  at zero. To measure  $g_i$  small, brief hyperpolarizing voltage steps were alternately applied to each cell superimposed on the longer-duration  $V_{io}$  steps. The small steps did not noticeably alter  $g_i$ . Illustrated in Fig. 2 is a continuous chart record obtained from a cell pair in which  $V_{io}$  was examined over potentials ranging from -60 to +20 mV. Hyperpolarization from rest (-40mV) produced little change in  $g_i$ , whereas depolarization caused  $g_i$  to decrease to a new steady state. Progressively larger depolarizations caused  $g_j$  to decrease faster and to lower steady-state values;  $g_i$  recovered to the resting value in each case upon returning the potential to -40mV.

Steady-state  $g_i$  as a function of  $V_{i,o}$  is plotted in Fig. 3 *a* from the data in Fig. 2. The relation follows a steep sigmoid curve that asymptotically approaches a maximum at inside negative potentials and zero with increasing inside positivity. To model the steady-state data, we applied a simple reaction scheme in which channels undergo reversible transitions between open and closed states. Because gap-junction channels consist of two hemichannels, each of which may possess voltage sensitive gating elements, we considered gating by one and by two gates in series. If the channels possessed only a single gate sensitive to  $V_{i,o}$ , and the distribution between open and closed states were determined by a Boltzmann relation in which dipole moment was independent of voltage, the steady-state channel open probability, p, would be given by

$$p = 1/[1 + \exp [A(V_{i-o} - V_o)]], \qquad (1)$$

where  $V_{0}$  is the voltage at which p is 0.5 and A is a constant that expresses voltage sensitivity (Magleby and Stevens, 1972; Harris et al., 1981). If the conductance of the closed state were zero, as indicated by the near-zero junctional conductances attained at inside positive potentials,  $g_{i}$  would follow  $V_{i0}$  according to

$$g_{\rm j} = g_{\rm max} p = g_{\rm max} / [1 + \exp \left[A(V_{\rm i-o} - V_{\rm o})\right]],$$
 (2)

where  $g_{\text{max}}$  is the maximal  $g_j$  attainable at inside negative potentials. For two identical and independent gates in series, either of which could close the channel, the probability that the channel is open would be the product of the open probabilities of the two gates. Thus, for cells at equal potentials,  $g_j$  would follow  $V_{i,o}$  according to

$$g_{\rm j} = g_{\rm max} p^2 = g_{\rm max} / [1 + \exp \left[A(V_{\rm i-o} - V_{\rm o})\right]^2.$$
 (3)

The appropriateness of the single and two series gate models was examined by fitting the data to the relations describing each case (Eqs. 2 and 3). The expected values of  $g_i$  and ln ( $g_i$ ) are plotted in Fig. 3, a and b, respectively. Experimental data are indicated by the solid circles. For negative voltages, the relations are not distinguishable. At positive potentials the relations deviate and the data are somewhat better described by the two-series gate model. For this model, the mean value of the constant, A, was 0.085  $\pm$  .008 mV<sup>-1</sup> (n = 10) which reflects an equivalent gating charge of 2.1 associated with each



FIGURE 2  $V_{i,o}$  dependence of  $g_j$  in salivary glands of *Drosophila melanogaster*. The four traces shown are the voltages and currents in cell 1 (top two traces) and cell 2 (bottom two traces) obtained from a cell pair in double voltage clamp. The brief upward deflections in  $I_1$  and  $I_2$  represent the junctional currents elicited by alternate small (10 mV), brief (100 ms) hyperpolarizing voltage steps ( $V_1$ ,  $V_2$ ) applied to each cell. The brief downward deflections in  $I_1$  and  $I_2$  represent the total currents applied to each cell in order to generate the voltage steps.  $g_j$  was obtained directly by dividing the junctional current by the voltage step. To introduce a  $V_{i,o}$ , long-duration voltage steps were applied simultaneously to both cells superimposed on the brief, alternating steps. The resting potential ( $V_h$ ) for this cell pair was -40 mV at which  $g_j$  was 4.0  $\mu$ S. Hyperpolarization from rest produced little change in  $g_j$ , whereas depolarization produced a reversible reduction in  $g_j$ . Successively larger depolarizations produced faster and greater reductions in  $g_i$ . Little coupling ( $<0.1 \ \mu$ S) was detectable at voltages positive to +20 mV.



FIGURE 3 Steady-state  $g_j - V_{io}$  relation obtained from a single cell pair.  $g_j$  was measured over a range of holding potentials (indicated by the solid circles). The data were fit to Boltzmann relations (Eqs. 2 and 3) describing transitions between steady-state conductances for channels modeled as containing a single gate and with two independent gates in series. Fits were made by treating  $g_{max}$ , A, and  $V_0$  as free parameters and applying a Gauss-Newton method for minimization (Jacobs, 1977). The fitted values are as follows:  $g_{max} = 4.4 \ \mu S$ ,  $A = 0.098 \ mV^{-1}$ and  $V_0 = -16.1 \ mV$  for the single-gate case and  $g_{max} = 4.5 \ \mu S$ ,  $A = 0.08 \ mV^{-1}$ and  $V_0 = 5.1 \ mV$  for the two gate case. (a) Linear plot. (b) Semilog plot. For either model the fit was good for  $V_{i,o} < 0$ . Two series gates better explains the data for  $V_{i,o} > 0$ .

hemichannel. Thus, the limiting slope for increasing positivity of  $V_{i-0}$  is *e*-fold per 11.5 mV in each hemichannel.

### The influence of $V_i$ on $g_i$

When the potential of one cell is changed relative to the other, both  $V_j$  and  $V_{i,o}$  are changed. If one assumes that there are two series gates sensitive to  $V_{i,o}$  and that  $V_j$  has no direct influence on  $g_j$ , the effects of unequal voltages of  $g_j$  between two cells can be described by two limiting cases. In one extreme, the potential sensed by each of the series  $V_{i,o}$  gates is equal to the membrane potential of the corresponding cell. The voltage sensors in this case

would be located at the cytoplasmic end of the channel structure. Thus, stepping one cell would change  $V_{i-0}$  at the corresponding gate leaving  $V_{i-0}$  at the other series gate unchanged. Steady-state  $g_j$  would follow the product of the open-closed probabilities of the series gates according to

$$g_{\rm j} = g_{\rm max} / ([1 + \exp \left[A(V_{\rm l} - V_{\rm o})\right]] [1 + \exp \left[A(V_{\rm 2} - V_{\rm o})\right]]).$$
(4)

Junctional conductance predicted from Eq. 4 is shown in Fig. 4 *a* (*dashed lines*) for the case when cell 2 is stepped over the voltage range of -75 to +75 and cell 1 is maintained at three fixed potentials (indicated on the left as  $V_1$ ). The fitted curve for the  $g_j - V_{i-0}$  relation, i.e., changing  $V_1$  and  $V_2$  equally, is also shown (*solid line*). The curves maintain a sigmoid shape, with  $g_j$  increasing on hyperpolarization and decreasing on depolarization.



FIGURE 4 Predictions for  $V_{i,0}$  dependence with voltage steps applied to one cell.  $V_i$  is assumed to have no influence. Solid lines in a and b represent fits of  $V_{i-0}$  dependence for both cells stepped equally according to Eq. 3. (a) Dashed lines are theoretical  $g_j - V_{i,o}$  curves where the potential sensed by each series gate is equal to the potential in the corresponding cell (Eq. 4). One cell  $(V_2)$  is stepped between -75 and +75 mV and the other  $(V_1)$  is held at three fixed potentials, -20, 0, and +20 mV. A progressive reduction in  $g_{max}$  is evident at more positive values of  $V_1$  as the gates on that side have a progressively lower open probability. (b) Theoretical  $g_i - V_{i,p}$  curves for the model that assumes the  $V_{io}$  sensors are at the midpoint of the channel where the potential is the mean of  $V_1$  and  $V_2$ . The same range of  $V_2$  and fixed values of  $V_1$ are represented as in a. All the curves converge to  $g_{max}$  for hyperpolarization and zero for depolarization as the potentials sensed by the  $V_{in}$ gates can be made sufficiently negative or positive with large voltage steps to cell 2.

For more depolarized fixed values of  $V_1$  there is a progressive reduction of the maximum  $g_j$  as the  $V_1$  gates have a lower open probability. The  $g_j - V_{i,o}$  curves all converge to zero with sufficient depolarization of cell 2 because all the  $V_2$ -sensitive gates would close. In each case, the dashed lines intersect the solid line where  $V_1 = V_2$  and thus  $V_j = 0$ .

In the other extreme, the  $V_{i,o}$  sensors, rather than detecting the potentials in the corresponding cells, detect the potential midway along the channel which by symmetry will be the mean of  $V_1$  and  $V_2$ . In this case,  $g_j$  is described by

$$g_{\rm j} = g_{\rm max} / [1 + \exp{\left(A \left\{ \left[ (V_1 + V_2)/2 \right] - V_{\rm o} \right\} \right)} \right]^2.$$
 (5)

Thus, the relation for a change in the potential of one cell would be the same as that for equal changes in both cells except that the apparent voltage sensitivity would be reduced by half and the effective  $V_o$  would be shifted. The  $g_j$ - $V_{i,o}$  curves according to Eq. 5 are shown in Fig. 4 *b* for the same values of  $V_1$  and  $V_2$  as in Fig. 4 *a*. In each case  $g_j$  converges to  $g_{max}$  at inside negative values of  $V_2$  because sufficient hyperpolarization of cell 2 would bring  $V_{i,o}$  midway along the channel into the plateau region of the  $g_j$ - $V_{i,o}$  curve. As in the first limiting case, convergence to zero occurs when one cell is made sufficiently inside positive.

Neither Eqs. 4 or 5 adequately described the effects of unequal voltages in cell pairs. Fig. 5 a shows a series of depolarizing and hyperpolarizing steps applied to cell 2 from a holding potential of -20 mV (top) and the elicited junctional currents,  $I_i$  (below). Rather than increasing with hyperpolarization and decreasing with depolarization as for  $V_{i,o}$ ,  $g_i$  decreased with both polarities of  $V_2$  as evidenced by the decay in  $I_1$  to a lower value from an initial peak. For either polarity,  $I_i$  decayed more rapidly and reached a lower steady-state value as the magnitude of the  $V_2$  step was increased. Depolarization of cell 2 caused a faster and larger decrease in  $I_i$  than the same degree of hyperpolarization. Essentially equal changes in amplitude and time course of junctional currents were seen when  $V_1$  was stepped and  $V_2$  was held constant (data not shown). Steady-state  $g_i$  as a function of  $V_2$  is plotted in Fig. 5, b and c, for fixed  $V_1$  values of -20 and 0 mV, respectively. The solid lines are fits to the data for  $g_i$  when both  $V_1$  and  $V_2$  were stepped equally (points not shown). The dashed lines are the curves predicted from Eqs. 4 and 5. Experimental data for steps to cell 2 (squares) deviated markedly from the prediction of either model. Most dramatically,  $g_i$  was reduced by hyperpolarization when only an increase was predicted. For moderate depolarization (e.g., stepping cell 2 to 0 and +10 mV from a fixed potential of -20 mV, Fig. 5 b), the reduction in  $g_i$  was greater than for the same depolarization applied to both cells. For larger depolarizations from -20 mV (Fig. 5 b) or smaller steps from 0 mV (Fig. 5 c), the degree of reduction in  $g_i$  was less than for equal depolarization of both cells, but remained greater than predicted by Eqs. 4 or 5 which assume  $V_{i,o}$  to be the only determinant of  $g_i$ . These results can be explained by the coexistence of two voltage sensitivities: a  $V_i$  sensitivity that reduces  $g_i$  for both polarities of  $V_i$  and a  $V_{i-p}$  sensitivity that increases  $g_i$  on hyperpolarization and reduces it on depolarization. The effectiveness of hyperpolarizing one cell in reducing  $g_i$  requires that there be  $V_i$  sensitivity, which is confirmed by the greater than predicted reduction in g<sub>i</sub> by moderate depolarization of one cell. By virtue of the polarity dependent influence of  $V_{i,o}$ , the decrease in  $g_i$  is asymmetric around  $V_i = 0$  with depolarization causing a larger decrease in  $g_i$ than comparable hyperpolarization. The minimum  $g_i$ 's for large hyperpolarizations and depolarizations of one cell were not determined because of the large nonjunctional membrane currents required. For inside positivities of one cell >40 mV  $g_i$  appeared to remain greater than zero suggesting there may be a residual (minimum)  $g_i$ . The existence of a residual  $g_i$  would require that closure by  $V_i$  were incomplete and that large depolarizations of one cell prevented complete closure by the  $V_{i,0}$ gating mechanism, i.e., the actions of  $V_{i-0}$  and  $V_i$  were interdependent. Evidence for interaction between  $V_{i}$ and  $V_{io}$  gating mechanisms is presented below.

## Time course of changes in $g_j$ with step changes in $V_{i-2}$

The time course of the decrease in  $g_j$  for  $V_{i,o}$  steps (equal changes in  $V_1$  and  $V_2$ ) was measured with small, brief hyperpolarizing voltage steps as in Fig. 2. In the example in Fig. 6 *a*, the initial holding potential was -40 mV and the cells were stepped to potentials of +10, +20, and +30 mV. For channels with first order reversible transitions between open and closed states, the open probability would reach a new steady state according to

$$p = p_{\infty} + (p_{o} - p_{\infty}) \exp(-t/\tau),$$
 (6)

where  $\tau$  is the time constant and  $p_o$  and  $p_{\infty}$  are the initial and equilibrium values for the open probabilities. For two series gates and equal  $V_{i,o}$ 's in the two cells, the initial and equilibrium open probabilities of the individual gates ( $p_o$  and  $p_{\infty}$ ) could be measured as  $p_o = \sqrt{(g_o/g_{max})}$ and  $p_{\infty} = \sqrt{(g_{\infty}/g_{max})}$ . Because the fraction of channels



FIGURE 5 Effects of transjunctional voltage on  $g_i$ . (a) A series of current and voltage records for depolarizing (*left traces*) and hyperpolarizing (*right traces*) voltage steps applied to cell 2. Holding potential for this cell pair was -20 mV (indicated as  $V_h$ ). Voltage steps are superimposed above and the junctional currents ( $I_j$ ) are below; numbers on the left indicate the applied potential. For either polarity, successively larger voltage steps produced larger initial  $I_j$ 's which decayed faster and to a greater degree. For hyperpolarization the decay in  $I_j$  was less and slower than for comparable depolarization.  $g_i$ , obtained by dividing  $I_j$  by the voltage step, was normalized to  $g_{max}$ ,  $g_{max}$  was obtained as described in Fig. 3, b and c. Steady-state  $g_j$  normalized with respect to  $g_{max}$  was plotted as a function of voltage in the stepped cell. The solid line in each plot is a fit to the data obtained by stepping both cells equally (same data and cell pair as Fig. 3, data points not shown). The dashed lines represent the steady-state  $g_j-V_{i,o}$  curves for steps to one cell predicted by the models with  $V_{i,o}$  sensors at the cytoplasmic end of the channel and in the middle of the channel (as indicated). The cells were held at -20 mV for b and 0 mV for c. Data points (solid squares) deviate markedly from predictions of either model. Hyperpolarization caused a reduction (rather than an increase) in  $g_i$ , and the reduction in  $g_i$  on depolarization was greater than predicted for either depolarizing both cells equally or depolarizing only one cell. These data demonstrate  $V_i$  sensitivity that reduced  $g_i$  for both polarities of  $V_i$ .

open would be determined by the product of the open probabilities of the series gates,  $g_i$  would be described by

$$g_{j} = g_{\max} p^{2} = [\sqrt{g_{\infty}} + (\sqrt{g_{o}} - \sqrt{g_{\infty}}) \exp(-t/\tau)]^{2}.$$
(7)

Thus, plotting  $\ln \{(\sqrt{g_i} - \sqrt{g_{\infty}})/(\sqrt{g_o} - \sqrt{g_{\infty}})\}$  vs time for a channel with two series gates would produce a linear relation with a slope equal to the rate constant  $(1/\tau)$  describing transitions between steady-state open probabilities for each hemichannel. Fig. 6 b shows these plots for the data in Fig. 6 a. The solid lines represent fits to the data with  $g_{\infty}$ ,  $g_{0}$ , and  $\tau$  treated as free paramaters. The fits were good for all three  $V_{i-0}$  steps indicating that the model of two series gates that follow first order kinetics adequately predicts the relaxation in  $g_i$  when the voltages

in the cells are displaced equally. The calculated time constants for changes in open probability of each gate were generally slow, with values of 3.3, 1.9, and 1.3 s for the  $V_{i,o}$  steps to +10, +20, and +30 mV shown in Fig. 6 *a*. The model depicting a single gate also provided a good fit to the data (not shown) so that analysis of these kinetic data do not provide a sufficiently sensitive test to distinguish between the one and two gate models. In the one gate model the calculated time constants would be somewhat shorter.

Exponential relaxations for the series gates can be described in terms of forward,  $\alpha$ , and reverse,  $\beta$ , rate constants (see Magleby and Stevens, 1972; Harris et al., 1981). The rate constants for  $V_{io}$  dependence can be



FIGURE 6 Time course of the decrease in  $g_i$  for  $V_{i\circ}$  steps to +10, +20, and +30 mV from a holding potential of -40 mV.  $g_i$  was measured with small, brief hyperpolarizing steps applied to one cell superimposed on the  $V_{i\circ}$  steps as in Fig. 2. The decline in  $g_j$  was faster for more positive voltages. (a) Linear plot. (b) Plot according to Eq. 7 to show single exponential behavior according to the series gate model. A least squares method was used to obtain linear fits (*solid lines*) to the data (*solid symbols*). Fits for each voltage step were good (correlation coefficients >0.99). Time constants for the three  $V_{i\circ}$  steps to +10, +20, and +30 mV were 3.3, 1.9, and 1.3 s, respectively.

calculated from the time constants and steady-state open probabilities with equal voltage steps to both cells. For a Boltzmann process, rate constants depend on voltage according to equations of the form (see Harris et al., 1981)

$$\alpha = \lambda \exp \left[A_{\alpha}(V_{i-o} - V_{o})\right]$$
  
$$\beta = \lambda \exp \left[A_{\beta}(V_{i-o} - V_{o})\right], \qquad (8)$$

where  $A_{\alpha}$  and  $A_{\beta}$  are the voltage sensitivities of the opening and closing rate constants, respectively, and  $\lambda$  is the rate constant at which  $V_{i,0} = V_0$  and  $\alpha = \beta$ . We calculated  $\alpha$  and  $\beta$  from  $\alpha = p_{\omega}/\tau$  and  $\beta = (1 - p_{\omega})/\tau$ using Eq. 3 to obtain  $g_{max}$  and Eq. 7 to obtain  $g_{\infty}$  and  $\tau$  for several different  $V_{i,o}$  steps. Calculations were made from the decay in  $g_i$  for a series of depolarizing steps to both cells starting at -40 mV and from the recovery in  $g_i$  upon returning to -40 mV. Time constants at any given  $V_{i,0}$ were independent of the previous value of  $V_{i,o}$  as determined by rates of recovery from a series of inside positive potentials and from reductions in g, after a series of inside negative potentials (data not shown). The exponential relations describing  $\alpha$  and  $\beta$  are plotted in Fig. 7 a. The data from this cell pair were best fit with the expressions

$$\alpha = 0.168 \exp \left[-0.017(V_{i-o} - 7.7)\right]$$
  

$$\beta = 0.168 \exp \left[0.064(V_{i-o} - 7.7)\right]$$
(9)

The predicted dependence of the calculated time constant on  $V_{i-0}$  is illustrated in Fig. 7 b. The curve was obtained from  $\tau = 1/(\alpha + \beta)$ , with  $\alpha$  and  $\beta$  determined from the expressions in Eq. 9. The time constants for equal steps to both cells ranged from several seconds at moderate inside negative potentials to several hundred milliseconds at inside positive potentials >40 mV. The faster time constants at inside positive potentials reflect the steep voltage dependence of the rate constant for closing, which is approximately fourfold more sensitive to voltage than the opening rate.

## Time course of changes in $g_i$ caused by step changes in $V_i$

Voltage steps applied to one cell induced changes in g that were more complex than the simple decay exhibited during equal steps to both cells. Kinetic and steady-state changes in  $g_i$  depended not only on the amplitude and polarity of the voltage step applied to one cell, but also on the holding potential from which the step was applied. Fig. 8 shows junctional currents,  $I_i$  elicited by  $\pm 30$  and  $\pm 50$  mV steps applied to one cell of a pair. The  $I_i$ 's for each represented voltage step were elicited from three different holding potentials (-40, -20, and 0 mV)and were normalized to their respective peaks and superimposed to illustrate their relative time courses. For large negative steps (e.g., -50 mV) from the most positive holding potential shown (0 mV), the time course in  $I_i$  consisted of a fast decrease followed by a slow increase (Fig. 8b). For large positive steps from a negative holding potential (e.g., -40 mV), an initial rapid decrease was followed by a continued, but slower decrease (Fig. 8 d). These complex waveforms can be explained by invoking both  $V_i$  and  $V_{i-0}$  dependent mechanisms. The initial decrease in  $I_i$  for both voltage polarities is ascribable to channel closing by  $V_i$ . The subsequent slower increase or decrease in  $I_i$  is ascribable to channel opening and closing for hyperpolarizing and depolarizing  $V_{i-0}$ 's, respectively.  $V_{i-0}$  would be expected to contribute little upon hyperpolarization from the negative plateau region of the  $g_j - V_{i-0}$  curve, which explains the absence of the slow increase in  $I_i$  for large hyperpolarizing steps applied from negative holding potentials (e.g.,  $V_{\rm i-0} = -40 \,\rm mV$ ).

 $V_j$  reduced  $g_j$  faster and more effectively at more positive  $V_{i\circ}$ 's. Thus, for either polarity, the initial decay in  $I_j$  was faster as the holding potential was made more positive (compare traces within each panel of Fig. 8). Also, the initial decay in  $I_j$  for positive steps at any holding potential (Fig. 8, c and d) was consistently faster than for comparable steps in the hyperpolarizing direction (Fig. 8, a and b). The steady-state changes in  $g_j$ produced by stepping one cell also depended on  $V_{i\circ}$ . For hyperpolarizing steps applied to one cell, the fractional reduction in  $I_j$  decreased with larger steps ascribable to



FIGURE 7  $V_{i,o}$  dependence of kinetic parameters. (a) Rate constants for opening ( $\alpha$ ) and closing ( $\beta$ ) by  $V_{i,o}$ .  $\alpha$  and  $\beta$  were calculated from  $\alpha = p_a/\tau$ and  $\beta = (1 - p_a/\tau$  where  $p_a$  is the steady-state open probability and  $\tau$  is the time constant of relaxation of open probability from Eq. 7. These values of  $\alpha$  and  $\beta$  (solid symbols) are plotted as a function of  $V_{i,o}$ . The smooth curves are exponentials according to Eq. 8 obtained by a least squares fit to the semilog plot (not shown). Voltage sensitivity of  $\beta$  is fourfold greater than that for  $\alpha$ . (b)  $V_{i,o}$  dependence of the time constants for transition between open probabilities. The smooth curve was obtained from  $1/(\alpha + \beta)$  with  $\alpha$  and  $\beta$  representing expected values obtained from exponential fits to the data described in a. The time constant for  $V_{i,o}$  displayed a maximum at -10 mV of  $\sim 3.55$  and declined steeply at positive potentials.

the action of more negative  $V_{i,o}$  to increase  $g_j$ . For depolarizing steps of moderate size, e.g., +30 mV, steady-state  $I_j$  relative to the peak decreased slightly with increasing positivity of the holding potential, whereas for larger steps, e.g., +50 mV, the relative decrease from the peak remained constant suggesting that the frac-

tional reduction in  $g_j$  by  $V_j$  had reached its maximum degree.

The initial reductions in  $g_j$  attributed primarily to  $V_j$  were faster than the changes caused by  $V_{i,o}$  and should provide estimates of time constants for  $V_j$  dependence. Because both hyperpolarizing and depolarizing steps



FIGURE 8 Time course of  $V_j$  dependence and effect of  $V_{i,o}$ . Junctional currents illustrating the time course of the changes in  $g_j$  elicited by  $\pm 30$  (a and c) and  $\pm 50$  (b and d) mV steps to one cell. The steps were applied from three  $V_{i,o}$  potentials; -40, -20, and 0 mV (as indicated).  $I_j$ 's were each normalized to their initial values upon generating  $V_j$  and superimposed to illustrate the relative rates of decay. For hyperpolarizing steps of -30 or -50 mV (a and b)  $g_j$  decreased faster and to proportionately lower steady-state values as  $V_{i,o}$  was changed from -40 to -20 mV. At a  $V_{i,o}$  of 0 mV the initial decrease was faster still, but steady-state  $g_j$  increased ascribable to the influence of a hyperpolarizing  $V_{i,o}$ . For depolarizing steps of +30 mV (c),  $g_j$  decreased faster and apparently to slightly lower steady-state values as  $V_{i,o}$  was made more positive. For the larger +50 mV depolarizing steps (d), the decay was faster with more positive  $V_{i,o}$ 's, but the fractional decrease in  $g_j$  remained constant suggesting that  $V_i$ 's effect had reached a maximum.

applied to one cell reduce  $g_i$  and because of symmetry, it is likely that there is a  $V_i$  gate in each of the apposed membranes (Harris et al., 1981). In this model, a  $V_i$  step of one polarity would close one gate and maintain the other open; the configuration is reversed for the other polarity of  $V_i$ . For closure of a single gate that exhibits first order kinetics, a plot of  $\ln \left[ (g_i - g_{\infty})/(g_0 - g_{\infty}) \right]$  vs time produces a straight line with a slope equal to the rate constant for transitions between steady states. Representative fits applied to the early phase of the decrease in  $g_i$  are shown in Fig. 9 *a* for  $\pm 50$  mV steps applied from a holding potential of 0 mV. The appropriate value to choose for  $g_{\infty}$  depends somewhat on the model for  $V_{i,o}$  and  $V_i$  interactions, but the time constant should be insensitive to  $g_{\infty}$  (see Fig. 9 *a* legend). The initial rate was faster for depolarization ( $\tau = 0.19$  s, *right*) than for hyperpolarization ( $\tau = 0.45$  s, *left*). Data for several  $V_i$  steps applied from two holding potentials (-20 and 0 mV) and for equal steps to both cells are plotted in Fig. 9 b with the curve of  $\tau$  for  $V_{i,0}$ . Over most of the voltage range,  $V_j$  acted considerably faster than  $V_{i,o}$  to change  $g_i$ . The  $V_i$  component was faster for more depolarized holding potentials and it was faster for



FIGURE 9 Comparison of time constants of  $V_i$  and  $V_{i,0}$  dependence. (a) Examples of the initial decay in  $g_i$  for  $V_i$  steps. Shown are -50 mV(left) and +50 mV (right) steps to one cell from a holding potential of 0 mV. Data are plotted as  $\ln [(g_i - g_{\infty})/(g_o - g_{\infty})]$  vs time.  $g_{\infty}$  was chosen as the minimum value reached during the applied pulse. The straight lines represent linear fits to the initial decrease in  $g_{i}$ . (b) The smooth curve represents the voltage dependence of the time constant for  $V_{i,0}$ dependence of open probability fitted from data (not shown) for this cell pair. The symbols connected by lines are measured time constants for  $V_i$  obtained by extracting the fast component of the change in  $g_i$  for voltage steps applied to one cell. Data for  $V_1$  are shown from holding potentials of 0 mV ( $\blacksquare$ ) and -20 mV ( $\blacktriangle$ ). All data for  $V_i$  and  $V_{io}$  were obtained from the same cell pair. Time constants were faster for depolarizing  $V_i$ 's than for comparable hyperpolarizing  $V_i$ 's. Time constants for  $V_i$  were faster for either polarity with increasing positivity of  $V_{i-o}$ .

depolarizing than for hyperpolarizing steps at a given holding potential.

#### DISCUSSION

We demonstrated here that in larval salivary gland cells of *Drosophila melanogaster*  $g_i$  is markedly affected by two kinds of voltage differences that we have termed  $V_{i,o}$  and  $V_j$ . The gap-junction channel is composed of two halves joined in the extracellular gap between two closely apposed cells and there is evidence that the lumen of the channel is insulated from the extracellular gap and that the gap is freely accessible to the bathing medium (Bennett, 1977). Thus,  $V_{i,o}$  is established between the cytoplasm and the exterior of the cells (see Fig. 1). In the case of two cells placed at the same potential,  $V_{i,o}$  would be uniform across the channel wall in the region of the gap. With cells at unequal potentials, i.e. when  $V_j$  is present, a voltage gradient is established along the lumen of the channel that also modifies the potential across the channel wall, although nonuniformly along its length. Thus, changing the potential equally in both cells establishes a uniform  $V_{i,o}$ , whereas changing the potential of one cell establishes both  $V_{i,o}$  and  $V_j$  differences, with  $V_{i,o}$  nonuniform along the lumen of the channel.

Changes in  $g_i$  brought about by  $V_{i-0}$  and  $V_j$  differ in kinetics and sensitivity to voltage suggesting that  $V_{i-0}$  and  $V_{i}$  act upon different gating mechanisms. For  $V_{i,0}$  dependence, steady-state data are somewhat better fit by a model with two independent  $V_{i-0}$  gating domains arranged in series. The serial arrangement of the gating domains is a likely consequence of the serial arrangement of the two hemichannels, each of which possesses a separate gating domain. A similar series gate arrangement was used to model  $V_i$  dependence in amphibian blastomeres (Harris et al., 1981) and  $V_{i,o}$  dependence in Chironomus salivary glands (Obaid et al., 1983). Recent data on formation of heterotypic junctions between Xenopus oocytes expressing different connexins support the hypothesis of separate gates (Swenson et al., 1989; Barrio et al., 1990). Our kinetic data did not allow distinction between single and two series gate models. Although we favor the view that two separate  $V_{i,o}$  gates are present in the Drosophila salivary gland channels, our data do not exclude the possibility of a single  $V_{i,0}$ gating domain. Because of symmetry, a single  $V_{i,o}$  gating domain would be most plausible as formed at the junction of the two hemichannels in the intercellular gap region of the channel.

The sensitivity of  $V_{i,0}$  dependence in Drosophila salivary glands is comparable to that for voltage-gated ion channels in excitable membranes, although the changes in conductance are considerably slower (see Hille, 1984). For a two series  $V_{i,0}$  gate model, the value of the constant, A, is a measure of the voltage sensitivity for each hemichannel. The value of  $0.085 \pm .008 \text{ mV}^{-1}$  in Drosophila salivary glands represents an equivalent elementary gating charge of  $\sim 2$ . Thus, the open probability of each hemichannel has a limiting slope of e-fold per 11.5 mV in this tissue. This value is similar to that for  $V_{i,o}$ in Chironomus salivary glands (Obaid et al., 1983).  $V_{i}$ dependence in amphibian blastomeres is somewhat steeper, displaying an equivalent gating charge of 6 and a limiting slope of *e*-fold changes in g, occurring every 4-5 mV (Spray et al., 1981). For small depolarizations Na<sup>+</sup> and K<sup>+</sup> channels increase their conductance with a

slope of *e*-fold for every 4.0 and 5.5 mV, respectively (see Hille, 1984).

The time constants for  $V_{i,o}$  dependence in Drosophila salivary glands vary considerably, being < 1 s for voltage steps to potentials more positive than +40 mV and 4-5 s at moderately negative potentials. The reduction in  $g_i$ appears to result predominantly from a steep voltage dependence of closing which is fourfold more sensitive than the opening rate (Fig. 7). The  $V_i$  dependent changes are faster than the  $V_{i,o}$  dependent changes over a large voltage range (Fig. 9). In amphibian blastomeres time constants of relaxation of  $g_i$  are 0.2 s for  $V_i$  steps of  $\pm 20$  mV (Harris et al., 1981). Analysis of V<sub>i</sub> dependence in Drosophila is complicated by the presence of  $V_{i-0}$ dependence, as well as by the influence of  $V_{i,0}$  on  $V_i$ dependence. At negative  $V_{i,o}$ 's within the plateau of the  $g_i - V_{i,0}$  relation, reductions in  $g_i$  by hyperpolarizing steps to one cell can be predominantly attributed to  $V_{i}$ . In this region, V<sub>i</sub> dependence was relatively weak and somewhat slow compared to that in amphibian blastomeres. For a  $V_i$  of 50 mV generated by hyperpolarization of one cell, time constants were 0.8-1.0 s and  $g_i$  remained at 30-40% of the maximum. Both the speed and the degree of reduction of  $g_i$  increase at more positive holding potentials. At  $V_{io}$ 's more positive than +20 mV, time constants for large  $V_i$ 's resemble those measured in amphibian blastomeres.

## $V_{\mu o}$ and $V_{\mu}$ dependencies reside in the same channel and interact

Dependence on  $V_{i,0}$  and  $V_i$  in Drosophila clearly resides in the same channel and not two distinct populations of channels, one sensitive to  $V_i$  and the other to  $V_{i,0}$ . This is evident from the almost complete block of  $g_i$  caused by large positive  $V_{i,o}$ 's and the substantial reduction in  $g_i$ caused by hyperpolarizations to one cell. However, even large  $V_i$ 's did not reduce  $g_i$  to near zero. Although very large  $V_i$ 's could not be applied without damaging the cell, the  $g_i - V_i$  relation sometimes appeared to asymptote the at a nonzero  $g_i$ . All  $V_i$  dependent junctions examined thus far exhibit a voltage insensitive (residual) $g_i$  comprising between 5 and 50% of the maximum  $g_j$  at  $V_j = 0$  (see Spray et al., 1985). A residual  $g_i$  may in part be an artifact of the inability to apply large enough voltages. Other possibilities include a lack of  $V_i$  sensitivity in some channels, a nonzero minimum channel open probability or a nonzero minimum conductance state (i.e., partial closure). In Drosophila, if  $V_{i-0}$  and  $V_i$  acted independently,  $g_i$  would be reduced to zero with a sufficiently large depolarization applied to one cell because voltage steps applied to one cell would have a  $V_{i-0}$  component in addition to a  $V_i$  component, which if sufficiently positive, would close the channels; the  $g_i - V_{i,0}$  relation converges to zero with positivity (Fig. 4). Thus, the persistence of a residual  $g_i$  at very large  $V_i$ 's would require that  $V_{i,0}$  and  $V_i$ gating mechanisms interact in some manner. Similarly, the effect of  $V_{i,0}$  on the time constants of  $V_i$  induced changes in g, require some form of interaction. Although the existence of channels lacking  $V_i$  gates cannot be ruled out by our data, a lack of  $V_i$  gates cannot explain a residual  $g_i$  because channels lacking  $V_i$  gates would close due to  $V_{i,0}$  dependence and would not, therefore, contribute to a residual  $g_i$ . Similar arguments can be made against  $V_i$  gating with a nonzero minimum conductance or a nonzero channel open probability. In the  $V_i$ sensitive amphibian blastomeres, where  $g_i$  is unaffected by  $V_{i,0}$ , proportional reductions in  $g_i$  and in junctional permeability to large ions upon application of  $V_i$  suggest that voltage closes gap-junction channels in an all-ornone rather than a graded manner (Verselis et al., 1986). Although the existence of substates that do not change relative permeabilities cannot be ruled out by these data, they are suggestive of a mechanism in which gating by  $V_i$  converges to a minimum nonzero channel open probability. Single-channel studies are ultimately necessary to resolve these issues.

# Possibilities for interactions between $V_{i,o}$ and $V_i$

Do  $V_i$  and  $V_{i,0}$  sensitivities result from the actions of separate domains in the channel protein or is there a single domain capable of responding to both applied potentials? The influence of  $V_{i,o}$  on  $V_j$  sensitivity does not preclude the existence of separate domains, but simply indicates that  $V_{i,o}$  affects the  $V_i$  domain. A model of channel closure by tilting of the subunits, as proposed by Unwin (1989), would suggest a unitary mechanism. However, the markedly different kinetics of  $V_i$  and  $V_{i,0}$ closure suggest that the closed states associated with each of these mechanisms are different. Because gapjunction channels are formed by two apposed hemichannels, separate domains for gating by  $V_{i-0}$  and  $V_i$  would require that each channel possess four distinct gating structures, two per hemichannel. An interesting possibility for interactions among multiple gating structures within a single channel exists in the form of contingent gating whereby the local field within the channel is affected by the state of each of the series gates (Harris et al., 1981). Each of the gates and/or sensors react independently to the local field, but closure of the channel by one gate can change the electric field detected by the other gate(s) and/or sensor element(s). In this model,  $V_{i,o}$  and  $V_i$  gating domains do not interact directly and the response of each gating domain to voltage remains unchanged.

If the  $V_{i,0}$  and  $V_i$  gating domains are separate and in

series, changes in the local electric field at each of the series gates would depend on where the gates were situated relative to one another. Given that two cells placed at the same potential establish this same potential between the lumen of the channel and the extracellular gap, it is possible that  $V_{i,0}$  gates are situated in the part of the channel wall that spans the intercellular gap. Thus, a possible configuration of four separate gates would have  $V_{i,o}$  gates deep in the channel, near the juncture of the hemichannels, and the  $V_i$  gates closer to the cytoplasmic entrances to the channel. In this configuration, depolarization of one cell would elicit channel closure by  $V_i$  or  $V_{i-0}$ . Because the kinetics of  $V_i$  closure are substantially faster than  $V_{i,0}$  over a wide range of voltages, the most predominant form of channel closure would be by  $V_i$ . If  $V_i$  closed the  $V_i$  gate on the relatively positive side of the channel (Verselis et al., 1987; Bennett et al., 1988; Swenson et al., 1989), the local field would collapse around the closed  $V_i$  gate (corresponding to the stepped cell) leaving the potential at the inner  $V_{i,0}$ gates relatively unchanged. Conversely, hyperpolarization of one cell would tend to close the  $V_i$  gate in the unstepped cell and would bring the  $V_{i-0}$  gates to the newly stepped potential. For hyperpolarization or depolarization of one cell, stochastic opening and closing of the  $V_i$  gate would subsequently change the potential at the  $V_{i,0}$  gates and alter their open probabilities accordingly, which would, in turn, affect the  $V_i$  gate. The resulting steady-state condition for series gates could involve cycling between states representing combinations of open and closed  $V_{i}$  and  $V_{i-o}$  gates in both hemichannels. A cycling scheme involving two gates was proposed to explain voltage gating in squid blastomeres (Bennett and Spray, 1984).

Another possibility for contingent gating exists in the form of allosteric interactions between gating domains. Changes in the conformation of one gating domain could alter the conformation of another gating domain and affect its response to voltage.

Although the four-series gate model is conceivable, we cannot rule out the possibility that the channels contain only two series gates, one per hemichannel, with each gate sensitive to both  $V_j$  and  $V_{i,o}$ . In such a case, changes in  $g_j$  would be expected to behave in a complex manner dependent on the resultant electric field the sensors experience.

The possibility of dual voltage control is a unique property of gap-junction channels. Gating of  $g_j$  by voltage provides a rapid and reversible means of altering communication between cells and is an attractive mechanism for a number of physiological processes. In embryonic tissues, voltage dependence could be used to control cell-cell interactions involved in regional specification during primary induction. The dynamics of  $V_i$  dependent coupling in embryonic cells was analyzed by modeling in Harris et al. (1983). In neurons, voltage dependent junctions offer a mechanism of synaptic control. For  $V_{i,o}$  dependence in particular, control of intercellular communication may be linked to changes occurring at the plasma membrane as activation or inhibition of ion channels can lead to changes in the membrane potential that, in turn, alter junctional coupling. Secretory cells, such as in the mammalian salivary gland, contain voltage- and ligand-gated channels which appear to play a role in the process of secretion and ion transport (Peterson, 1987). It has been postulated that intercellular coupling in secretory epithelia maintains uniform membrane potentials that are essential for transport function (Peterson, 1985). Further mechanistic descriptions of gap-junction gating by voltage together with molecular analyses should provide insight as to the nature of  $V_{i,o}$ - and  $V_i$ -dependent gating.

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