

Electric Field-Driven Disruption of a Native β -Sheet Protein Conformation and Generation of a Helix-Structure

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ABSTRACT We demonstrate that an external constant electric field is able to modify the secondary structure of a protein and induce a transition from a β -sheet into a helix-like conformation. This dramatic change is driven by a global rearrangement of the dipole moments at the amide planes. We also predict electric-field-induced modifications of the intermediate states of the protein.

INTRODUCTION

Misfolding of a protein occurs when it becomes trapped in a local minimum of the potential energy surface (PES) where the conformation differs from the native-state structure. If the local minimum is stable enough, serious diseases may be caused, especially if the secondary structure of the misfolded conformation differs from the native one. Prions, a type of protein, provide an example of this behavior. Whereas, in normal prions, the secondary structure is dominated by α -helices, the conformation of abnormal, disease-producing prions exhibits a considerable fraction of β -sheets. Prions are responsible for mad cow and Creutzfeldt-Jakob diseases, among other transmissible spongiform encephalopathies (1–3). Moreover, evidences have been recently presented that prions could also be involved in Alzheimer's disease (4). Therefore, it is of fundamental interest to investigate whether and how abnormal prions and, in general, misfolded proteins can be healed.

In this work, we demonstrate that an external constant electric field can directly induce a dramatic conformational change in the secondary structure of proteins. The external electric field couples to the dipoles in the peptide units, which are parallel to the direction of the OC and NH bonds in the amide planes (see Fig. 1) and have a magnitude equal to 1.1×10^{-29} Cm (5), i.e., 20 times larger than the dipole moment of a water molecule. This interaction can lead to structural changes. During the past few years the alignment of hydrated proteins and small molecules in the gas phase was achieved experimentally using polarized light (6,7). The alignment of the tertiary structure of large macromolecules under static and oscillating electric fields has also been described by molecular dynamics simulations (8,9).

Here, we show that the folding dynamics in the presence of an electric field can be analyzed in a similar way as classical spin systems under magnetic fields. For that we gener-

alize and implement a Monte Carlo approach used for spin glasses to be able to describe structural changes of macromolecules in real space.

Note that the superposition of the individual dipoles in a protein gives rise to a total dipole moment

$$\sum_i p_i \sim N$$

($N \equiv$ number of amino acids) when all the dipoles are aligned ferroelectrically as in the case of the α -helix (5,10). In contrast, the total dipole of a β -sheet should vanish, because in this case the individual dipoles corresponding to the i^{th} and $i + 1^{\text{th}}$ amino acids in the sequence are oriented antiparallel to each other.

Now, it is known for polymers in general that a rotation of local dipoles can occur without any significant change in bond length and bonding angle (11). Therefore, a protein under an external electric field decreases its potential energy through dipole alignment. On the other hand, the dipole-dipole interactions lead to an interplay between the conformation and the dipole arrangement in the peptide. Very high field strengths will force the protein-structure to be aligned. However, for field intensities corresponding to a coupling strength comparable to the energy of hydrogen bonds, we expect a more complex and physically more interesting potential energy surface.

THEORY

The model

To analyze the direct influence of external fields on the secondary structure of proteins, we study in this work the small peptide V3-loop, Protein DataBank ID 1NJ0, which consists of a β -sheet structure in its native state. This peptide conforms the V3-loop of the exterior membrane glycoprotein (GP120) of the Human Immunodeficiency Virus type 1 (HIV-1). We describe the protein by using an unbiased off-lattice model recently developed by Chen et al. (12). This coarse-grained model contains the most important ingredients needed to describe folding. In particular, local

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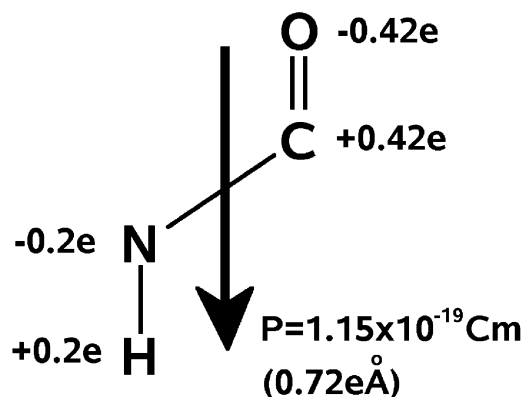


FIGURE 1 The dipoles of NH and OC in the amide plane give rise to a total dipole moment for each amino acid, which has the value 1.1×10^{-29} Cm.

hydrophobic interactions between the residues i and $i + 1$ and dipole-dipole interactions are treated on the same footing.

In the following we briefly describe the model (for more details, see (12)). Each amino acid is represented by a unit that contains the atoms N, C $_{\alpha}$, C', O, and H. The residues are modeled as spherical beads R attached to the C $_{\alpha}$ values. The only remaining degrees of freedom are the Ramachandran angles ψ and ϕ . Thus, the force field is given by

$$V_{\text{Protein}}(\psi, \phi) = V_{St} + V_{HB} + V_{DD} + V_{MJ} + V_{L-HP}, \quad (1)$$

where V_{St} represents hard-core potentials to avoid unphysical overlaps, V_{HB} accounts for the hydrogen bonding and V_{DD} for the dipole-dipole interaction. V_{MJ} is a distance-dependent version of the Miyazawa-Jernigan (MJ) matrix (13), which describes the interaction between residues. V_{L-HP} represents the local hydrophobic effect. The role of the presence of water molecules is taken into account by the terms V_{MJ} and V_{L-HP} . Notice that V_{MJ} partially includes the effect of water polarization (14). The dipole-dipole interactions V_{DD} are divided into local and nonlocal terms. The latter account for the interactions between dipoles belonging to amino acids which are not nearest neighbors, and are described by the term

$$V_{DD}^{nl} = \epsilon_{DD}^{nl} \sum_{i,j \neq i \pm 1, \mu, \nu} \left[\frac{\mathbf{p}_{i\mu} \cdot \mathbf{p}_{j\nu}}{r_{i\mu j\nu}^3} - 3 \frac{(\mathbf{p}_{i\mu} \cdot \mathbf{r}_{i\mu j\nu})(\mathbf{p}_{j\nu} \cdot \mathbf{r}_{i\mu j\nu})}{r_{i\mu j\nu}^5} \right], \quad (2)$$

where μ and ν refer to OC or NH and $\mathbf{p}_{i\mu}$ is the corresponding OC or NH dipole moment in the i^{th} amino acid of the sequence. The dipole-dipole interactions between amino acids which are nearest neighbors (local terms) are approximated as

$$V_{DD}^l = \epsilon_{DD}^l \sum_i (\mathbf{P}_i \cdot \mathbf{P}_{i \pm 1} / |\mathbf{P}_i| |\mathbf{P}_{i \pm 1}| - 1),$$

where $\mathbf{P}_i = \mathbf{p}_{iCO} + \mathbf{p}_{iNH}$ refer to the total dipole moment of the i^{th} amino acid. The values ϵ_{DD}^{nl} and ϵ_{DD}^l are coupling constants. Note that the nonlocal interaction has a dependence on the distance between dipoles while the local one is roughly independent of it, because the dipoles are localized in the center of the amide plane and the distance between nearest neighbors remains unchanged upon conformational transformations.

The term describing the coupling of the protein to the external electric field \mathbf{E} reads

$$V_{FD} = -\epsilon \sum_i \mathbf{P}_i \cdot \mathbf{E}.$$

The value ϵ is a dimensionless quantity, it measures the field strength with respect to a reference field intensity $E_0 = 5.1610^8$ V/m. It should be noted that for field magnitudes of $\sim 10^8$ V/m, no chemical reactions occur (15–17) and therefore the information provided by our model is enough to describe the thermodynamics of proteins.

Note also that our approach does not involve an all-atom simulation and therefore our results do not have the accuracy of an ab initio approach. More-sophisticated potentials should be used to confirm our predictions. Our model yields a good description of the secondary structure of small proteins, and the field intensities considered are small, in order to produce changes on the bond character or electronic configuration of the individual atoms and molecules. Therefore, we do not expect major differences regarding the physical processes described in our work if an atomistic model is used.

Simulations

We have determined the thermodynamic properties of the V3-loop under an external electric field using the Wang-Landau algorithm (18). As the joint density of states $g(E, Q)$ for biomolecules is difficult to obtain with the classical Wang-Landau algorithm, we implemented here the $1/t$ convergence criterion (recently proposed by Belardinelli and Pereyra (19)) for the avoidance of saturation errors, which is essential for the appropriate treatment of complex PES. To our knowledge, this modified algorithm has not been reported before for proteins.

Details of the implementation of the Wang-Landau algorithm can be found in the literature (18–20). We calculated the joint density of states $g(E, Q)$ as a function of the configurational energy E (in Kcal/mol) and of the end-to-end distance of the protein Q (in Å). With the help of the Wang-Landau simulation, we explored the volume $[-160 < E < -90] \times [4 < Q < 50]$ in the reduced phase space defined by E and Q . At each Monte Carlo step, we changed the Ramachandran angles ϕ and ψ . After 1×10^{10} Monte Carlo steps, we obtained the unnormalized density of states (using the convergence criterion $f_{\text{final}} \sim \exp(10^{-8})$).

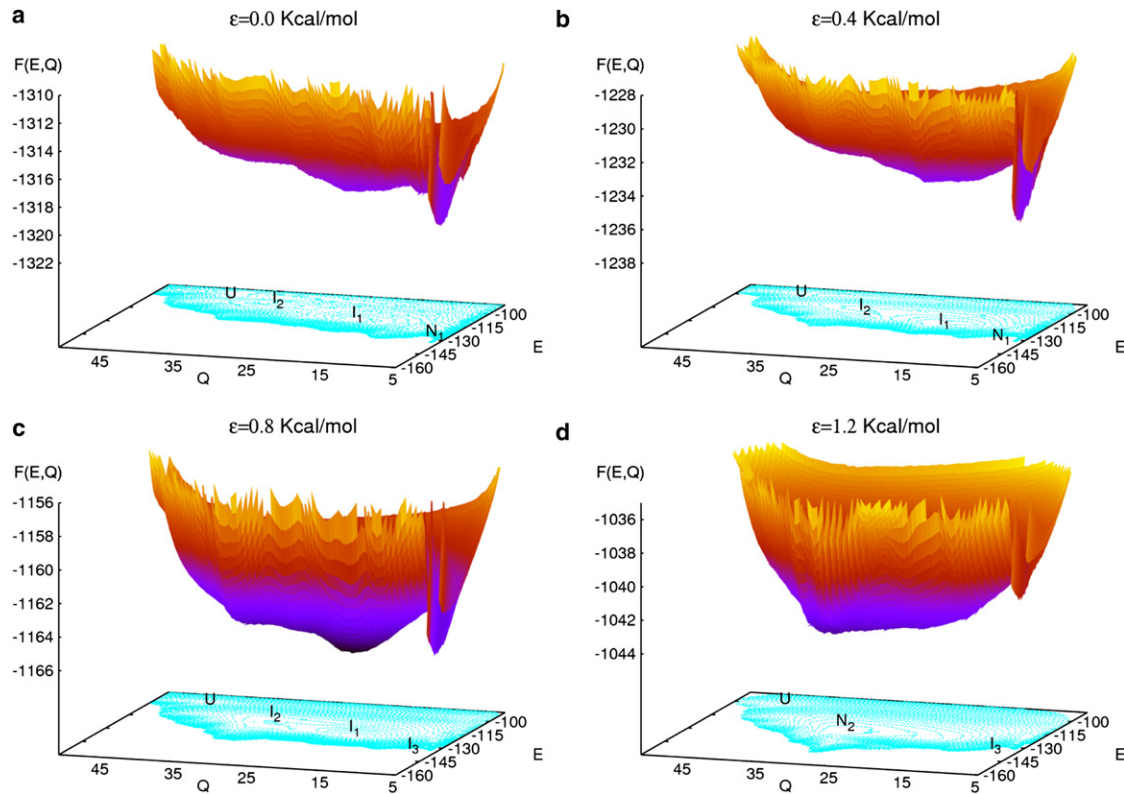


FIGURE 2 (Color online) Free energy surface of the V3-loop as a function of the configurational energy E and the end-to-end distance Q for different strengths of the external electric field ϵE_0 : $\epsilon = 0.0, 0.4, 0.8,$ and 1.2 . Local minima labeled as I_1 and I_2 correspond to intermediates. N_1 refers to the native state in absence of field, which becomes metastable (I_3) for $\epsilon = 0.8$. Note the formation of a new global minimum N_2 for the field strength $\epsilon = 1.2$. U corresponds to the unfolded states. The temperature in all cases is $T = T_f = 321$ K.

RESULTS AND DISCUSSION

From the computed $g(E, Q)$, we obtained the free energy surface as a function of E and Q for different values of ϵ , running from 0 to 2 Kcal/mol, which is shown in Fig. 2. The temperature used for this calculation was $T = T_f = 321$ K, which is the optimal folding temperature of the V3-loop peptide. In the absence of an external field ($\epsilon = 0.0$), the free energy shows the typical funnel-like form around the native state N_1 . In addition to the native- and the unfolded states, two characteristic local minima, I_1 and I_2 , can be distinguished, which correspond to intermediates (20). In the presence of an external field, the whole free energy landscape is modified. For $\epsilon = 0.4$, no considerable changes occur. However, for $\epsilon = 0.8$, the native state N_1 , which is strongly by the field, is no longer the global minimum of the free energy; it becomes degenerate with the intermediates. The protein exhibits no global minimum. Therefore, we also consider N_1 as a metastable state and label it as I_3 (see Fig. 2 c).

For larger field strengths, dramatic qualitative changes in the potential landscape occur, giving rise to a new phenomenon—namely, a transition from a β -sheet to an α -helixlike secondary structure. This effect can be observed, directly, in Fig. 2 d: for $\epsilon = 1.2$, a conformation which does not corre-

spond to any local minima in the absence of the field becomes the new native state (N_2). The state N_2 is characterized by the coordinates ($E = -145, Q = 30$). Note, for comparison, the native state in the absence of the field N_1 is located at the point ($-135, 5$) in the plane (E, Q).

This result suggests that, by increasing the magnitude of the external field, one should be able to control the conformation of the V3-loop and, in general, the secondary structure of proteins.

To visualize the field-induced transition from the native state N_1 to the state N_2 , we looked for the structure that yields the largest contribution to the partition function

$$\mathcal{Z}(T, \epsilon) = \sum_{E, Q} g(E, Q) e^{-E(\epsilon)/k_B T}$$

for each value of the temperature T and the strength ϵ . Such conformation constitutes the observable structure, i.e., the one having the highest probability to be present. In Fig. 3, we show the coordinates (E, Q) of the observable conformations for $\epsilon = 0, 0.4, 0.8,$ and 1.2 and for temperatures running from 10 K up to 600 K. In the absence of the field and for $T < T_f$ the native state N_1 ($E = -135, Q = 5$) contributes most to $\mathcal{Z}(T, \epsilon)$. At very high temperatures, only the unfolded state can be observed. The intermediates I_1 and

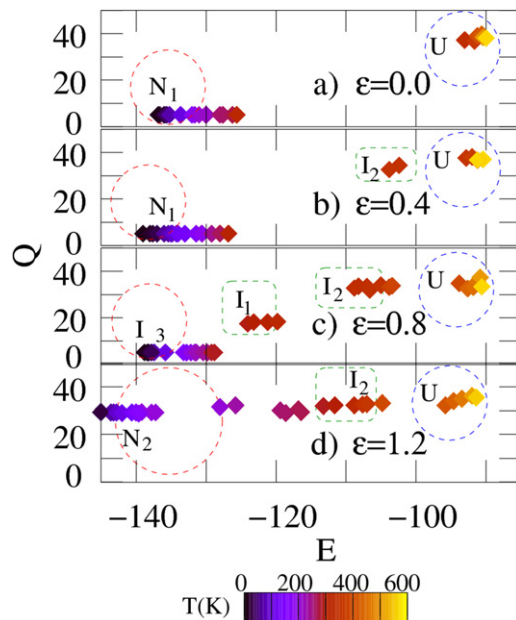


FIGURE 3 (Color online) Coordinates in the (E, Q) -plane of the conformations yielding the maximal contribution to the partition function for $\epsilon = 0.0, 0.4, 0.8,$ and 1.2 and at different temperatures. The field strength is given by ϵE_0 (see text). Note that for $\epsilon = 0.0$ the observable structures lie around the point $(E = -135, Q = 5)$ (β -sheet) while for $\epsilon = 1.2$ they are located near the point $(E = -150, Q = 30)$ (helix). Dark (blue) and light (yellow) diamonds refer to low and high temperatures, respectively (see temperature scale).

I_2 , although present as local minima in the PES (see Fig. 2), do not provide the dominant contribution at any temperatures. New features appear when the external field is switched on. For $\epsilon = 0.4$, the intermediate state I_2 ($E = -110, Q = 35$) becomes observable for temperatures above T_f . At very high temperatures again the unfolded states dominate. A peculiar situation occurs for $\epsilon = 0.8$, where both intermediates I_1 and I_2 can be observed and yield the dominant contribution on a wide range of temperatures. Interestingly, I_1 ($E = -120, Q = 20$) can be observed even below T_f . The state N_1 is only dominant at low temperatures.

Finally, the conformation that yields the largest contribution to Z for $\epsilon = 1.2$ and $T < T_f$ is the helixlike structure with coordinates $(E = -150, Q = 30)$, corresponding to the new native state N_2 . As the temperature is further increased, the intermediate I_2 starts to be the most probable structure. As in the case of smaller field strengths, at high temperatures ($T > 400$ K) the unfolded state U yields the largest contribution to the partition function.

A more graphical description of the transition and particularly of the structure of the field-induced new native state N_2 can be gained from the Ramachandran plots. In Fig. 4, we show the Ramachandran plots for $\epsilon = 0.0, 0.4, 0.8$ and 1.2 and at the folding temperature $T = T_f$. In the absence of the external field, most of the bond-angles of the peptide lie in the upper-left part of the Ramachandran plot, inside the region which characterizes the β -sheet of the state N_1 (see the

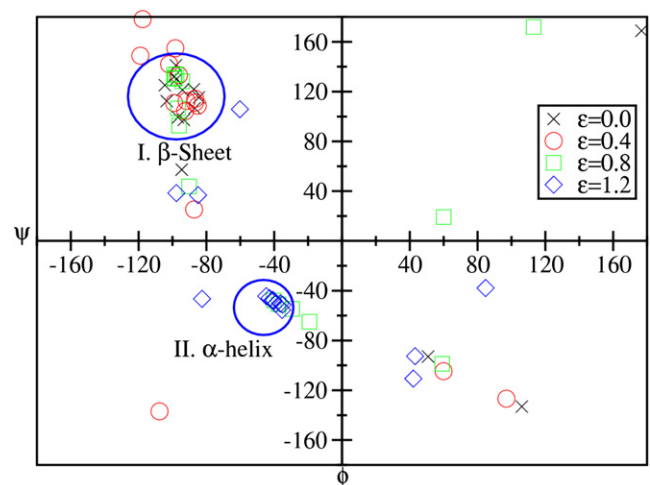


FIGURE 4 (Color online) Ramachandran plot of the V3-loop for different strengths of the external electric field represented by the dimensionless factor ϵ (see text) at $T = T_f = 321$ K. The regions corresponding to helices and β -sheets are indicated.

crosses in Fig. 4). There are, of course, angles that lie outside this region. This dispersion is due to the bonds at the ends and in the turn of the β -sheet.

As the magnitude of the field is increased, the local dipole moments of the amino acids start to change their orientation. This leads to rearrangements in the structure and, in particular, in the bond angles. As a consequence, for $\epsilon = 0.4$ and 0.8 , the dispersion of the points in the Ramachandran plot increases. For $\epsilon = 0.8$, a considerable fraction of the angles lies not only outside the β -sheet region, but they are distributed over the four panels of the plot. Now, for $\epsilon = 1.2$ again a qualitative change can be observed. A considerable fraction of the angles is concentrated inside and around the region which characterizes α - and a 3_{10} -helices. This happens because for large fields all dipoles in the peptide tend to be aligned parallel to the applied field in order to minimize the interaction energy (note that $\epsilon > 0$). The resulting helixlike structure has a nonzero total dipole moment of $\sim 17.6 \times 10^{-29}$ Cm.

The energy of the native state N_1 undergoes slight changes with increasing ϵ with respect to the case without field ($E(N_1)|_{\epsilon=0} = -137.5$ Kcal/mol). In particular, $\Delta E/|E| \sim -0.009$ for $\epsilon = 0.4$ and $\Delta E/|E| \sim -0.015$ for $\epsilon = 0.8$. The energy of the native state N_2 for $\epsilon = 1.2$ is equal to -150.0 Kcal/mol. The energy difference of ~ 12.5 Kcal/mol between the native states $\epsilon = 0$ and $\epsilon = 1.2$ results from the balance between the field-peptide interaction energy, i.e., the energy gained from the alignment of the dipole moments, and the different number of hydrogen bonds in the configurations N_1 and N_2 .

From our calculations, it is clear that an external electric field forces the peptide to undergo a conformational change to a structure in which the dipoles are aligned parallel to each other and parallel to the field. For $\epsilon = 1.2$, this structure is a helixlike one. If the field strength is further increased, the

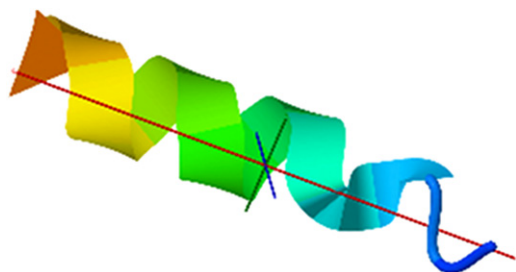


FIGURE 5 The α -helix structure of the native state for a field strength of ϵE_0 with $\epsilon E_0 = 5.16 \times 10^8$.

native state displays more features related to helices, and for a sufficiently high value of ϵ ($\epsilon \geq 2.5$), a perfect α -helix is formed. A picture of the native state N_2 for $\epsilon = 1.2$ is displayed in Fig. 5 showing a helixlike structure; note that three of the 16 residues in the tail of the structure did not form an α -helix for $\epsilon = 1.2$. Note that the situation is analogous to that of a classical spin system interacting with a magnetic field. The paramagnetic state would represent the unfolded protein structure, in which dipoles are oriented randomly in the absence of a field; the antiferromagnetic state would be the analog of a β -sheet, where neighboring dipoles are antiparallel to each other, and the ferromagnetic state would correspond to the α -helix. However, and in addition to the case of spin systems, the protein is free to move in space and the Hamiltonian consists of different competing many-body interaction terms.

At this stage, it is important to mention that recent molecular dynamics simulations performed to study the effect of static and oscillating electric fields on insulin (8) and an β -Amyloid peptide (9) yield a destabilization of α -helices and a change to a β -sheet or to a random-coil structure. Note, however, for both cases, the studied proteins are rather long and exhibit a tertiary structure that consists of subunits forming different secondary structures, and that the most important effect of the field was the alignment of the tertiary structure. Therefore, the destabilization of a helix is only part of this global alignment process and does not contradict our results, because the field does not interact directly with the secondary structure, as is the case in our study.

Moreover, from the results of our calculations and the above discussion, we can propose the following alternative picture for externally assisted folding: a transition from a β -sheet to an α -helix within a large protein can be induced by an electric field which directly interacts with the secondary structure.

Finally, it is important to mention that a much more efficient field-induced transition from a β -sheet to an α -helix should occur if both conformations are already present as minima in the free energy in absence of the field. Research in this direction is in progress.

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