Surface integrity of AISI 4140 after deep rolling with varied external and internal loads

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Abstract
To achieve favorable surface and subsurface properties by means of compressive stresses, low surface roughness and strain hardened microstructures, deep rolling is a well-established manufacturing process. To gain a better understanding regarding the correlations between the rolling forces (external load), the resulting Hertzian stresses (internal material load), and the modification of surface and subsurface properties, in this paper, deep rolling parameters were varied in a defined way under consideration of the correlations between external and internal loads. It is shown that at identical external loads, different surface and subsurface properties may result due to a defined variation of the internal loads.

Keywords: Surface Integrity; Steel; Deep Rolling

1. Introduction
The functional performance of components, such as fatigue life, is strongly dependent on the surface integrity resulting from the applied manufacturing process. Processes with predominantly mechanical impact such as deep rolling are well-described to increase hardness, to induce compressive residual stress, and to change the microtopography [1]. Although the correlation between process parameters and resulting surface and subsurface properties is often discussed [2-4], the generation of defined changes in the functional material properties of components is still an iterative or experience-based process. To solve the inverse problem of generating a given desired surface integrity, a better understanding of mechanisms leading to a material modification is required. Byrne describes the need of an observation from within the workpiece to consider the effects (e.g. strain hardening) induced to the material while the tool influences the surface and subsurface of the workpiece [5]. This approach was further developed by Brinksmeier et al. to establish a mechanism-based description of machining processes and its resulting material modification [6]. For this, energy conversion and dissipation lead to a specific internal load in the material, resulting in a change of surface and subsurface properties (material modification) after machining [7]. According to this approach, deep rolling can be described as a moving pressure source, which induces internal mechanical loads such as stress and strain fields during the process (Fig. 1). The correlation of internal material load with the modification of state variables (residual stresses, hardness and microstructure) can be described as process signatures [7].

To characterize the internal material loads during deep rolling by means of equivalent stresses, Hertz allows for describing the pressure and contact conditions between two bodies of a defined geometry under elastic conditions [8,9]. In line with this approach, deep rolling of cylindrical workpieces can be assumed to correspond to the contact between two spheres [10], which allows the analysis of internal material loads. This approach was e.g. used in [11] to quantify the mechanical load in a cryogenically assisted deep rolling process.

This paper aims at establishing a changed perspective on the process from an external load oriented view, to an approach which focusses on the resulting internal material loads to predict the material modifications in surface and subsurface layers.
2. Experimental setup

The deep rolling experiments were performed on a conventional CNC turning lathe. As workpiece material, an AISI 4110 (42CrMo4) in a quenched and tempered state with hardness of 21 HRC was chosen. A spherical, hydrostatic guided deep rolling tool was used. Deep rolling of a cylindrical workpiece with an initial diameter of 60 mm is shown in Fig. 2.

By choice of the deep rolling parameters, the external loads, the rolling force $F_r$, as well as the internal material loads resulting in a load dependent stress field are influenced. The basis for these investigations is the variation of tool diameter $d_b$ and deep rolling pressure $p_r$, summarized in Table 1. To exclude the effect of multiple overlaps, a high feed was chosen leading to the separation of the single deep rolling tracks.

### Table 1: chosen deep rolling parameters.

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Values</th>
</tr>
</thead>
<tbody>
<tr>
<td>Ball diameter $d_b$</td>
<td>6 and 13 mm</td>
</tr>
<tr>
<td>Rolling pressure $p_r$</td>
<td>varied</td>
</tr>
<tr>
<td>Feed f</td>
<td>2.4 mm</td>
</tr>
<tr>
<td>Circumferential speed $v_w$</td>
<td>95 m/min</td>
</tr>
</tbody>
</table>

3. Parameter selection and results

The basis for the analysis of external loads is the deep rolling force $F_r$, whereas here, the equivalent stress $\sigma_{eq}$ according to Hertz is used for the analysis of the internal material load. These values are subsequently related to the resulting residual stresses $\sigma_{rs}$.

#### 3.1. External load oriented parameter selection

In many publications in the past, a conventional approach aims at the comparison of external loads. Thus, in the presented study, one part of the experiments was used to keep the rolling force constant. The rolling force $F_r$ can be calculated by formula 1 as a result of the ball diameter $d_b$ and the rolling pressure $p_r$ [10]:

$$ F_r = p_r \cdot \pi \cdot \frac{(d_b)^2}{2}. $$

The deep rolling forces are kept at $F_r = 1130$ N to generate (supposedly) comparable process conditions for varied tool diameters. The resulting rolling pressure $p_r$, for a tool diameter $d_b = 6$ mm and $d_b = 13$ mm is summarized in Table 2.

### Table 2: chosen rolling pressure $p_r$ resulting from constant rolling force $F_r$.

<table>
<thead>
<tr>
<th>Rolling force $F_r$</th>
<th>Rolling pressure $p_r$</th>
</tr>
</thead>
<tbody>
<tr>
<td>1130 N</td>
<td>400 bar</td>
</tr>
<tr>
<td></td>
<td>85 bar</td>
</tr>
</tbody>
</table>

Fig. 3 shows the residual stress depth profiles in feed direction for a constant rolling force $F_r$ but for varied tool diameters $d_b$. The measured (XRD) residual stresses follow a similar trend, but vary regarding the maximum compressive residual stress $\sigma_{rs,max}$ and the depth of penetration. The constant force results in max. residual stress of -519 MPa for $d_b = 6$ mm in contrast to -575 MPa for $d_b = 13$ mm. The considerable deviation of the depth profiles indicates that the external load is not sufficient to predict the material modification.

#### 3.2. Internal material load oriented parameter selection

The target pursued in these experiments is a material-oriented way of choosing parameters for the generation of desired surface and subsurface properties. The operating rolling force $F_r$ manifests in a stress field within the material. To describe the maximum stress just below the center of the tool, the Hertzian stress is taken into account based on the equations in [9]. This approach enables a qualitative approximation of internal material load for varied rolling parameters despite of limitations such as e.g. consideration of normal forces exclusively as well as a pure elastic material behavior [9].

For deep rolling of cylindrical workpieces, the contact between two spheres is considered. This case gives the best approximation between the effective contact of the deep rolling tool and the surface of the cylindrical workpiece. In order to generate a comparable uniaxial stress state, the equivalent stress is calculated according to von Mises. The depth profile of the equivalent stress $\sigma_{ey}$ is presented in Fig. 4, while the applied parameters are summarized in Table 3.
The resulting depth profiles show a characteristic maximum stress below the surface. The level and the position of this maximum are dependent on the chosen deep rolling parameters. This effect can be used to establish a load oriented parameter selection for deep rolling processes. The profiles presented in Fig. 4 show an identical maximum of the equivalent stress $\sigma_{eq,\text{max}}$ for varied tool diameters $d_b$. This characteristic value $\sigma_{eq,\text{max}}$ enables an approach to compare the internal material loads of different process conditions and to correlate these internal material loads with the resulting material modifications based on the residual stress $\sigma_{rs}$.

Based on given fixed values for the maximum equivalent stress $\sigma_{eq,\text{max}}$, rolling pressures $p_r$ can be determined for varied tool diameters $d_b$. The resulting rolling pressures $p_r$ are given in Table 4.

The material modification is quantified based on the residual stress $\sigma_{rs}$ in feed direction. An evaluation of residual stress profile in machining direction is not presented, since the residual stress in near-surface region is overlapped by plastic extension of pre-machining by turning processes. In Fig. 5, the analyzed residual stresses $\sigma_{rs}$ for a maximum equivalent stress of $\sigma_{eq,\text{max}} = 3888$ MPa is compared for tool diameters of $d_b = 6$ mm and $d_b = 13$ mm. Both depth profiles show identical development up to a depth below the surface of 100 µm as well as an identical maximum of the compressive residual stress $\sigma_{rs,\text{max}} = -539$ MPa. However, in contrast to the internal material load, the measured depth of the maximum residual stress is identical at $z = 100$ µm for both diameters. The depth of the maximum equivalent stress for the smaller tool diameter ($d_b = 6$ mm) was $z = 130$ µm whereas the tool with a diameter of 13 mm showed the maximum in 180 µm depth. The penetration depth is strongly tool diameter-dependent. The residual stress value in the depths of the maximum equivalent stress values cannot be quantified due to the realized measurement intervals but based on the residual stresses for $z = 100$ µm and $z = 200$ µm, the values seem to vary within a range of -530 MPa.

A similar result can be achieved for varied process parameters given in Table 4. Fig. 6 presents the maximum equivalent stress $\sigma_{eq,\text{max}}$ over the maximum compressive residual stress $\sigma_{rs,\text{max}}$. The maximum deviation occurs at an equivalent stress of $\sigma_{eq,\text{max}} = 3241$ MPa and is about 8%. These investigations indicate that a correlation between the maximum of the equivalent stress $\sigma_{eq,\text{max}}$ and the resulting maximum residual stress $\sigma_{rs,\text{max}}$ is reasonable.

The observed deviations can be explained by the variation between the theoretical rolling force $F_r$ and the achieved forces which are influenced by pressure loss in the system. The measured rolling forces indicate that a reduction of the max. equivalent stresses by 2.3 % (6 mm ball) or 7.2 % (13 mm ball) occurred during the experiments.

![Fig. 4: equivalent stress depth profile $\sigma_{eq}$ with constant maximum $\sigma_{eq,\text{max}}$ for varied tool diameters $d_b$.](image)

![Fig. 5: residual stress depth profile $\sigma_{rs}$ for varied tool diameters $d_b$ based on constant maximum equivalent stress $\sigma_{eq,\text{max}}$ of 3888 MPa.](image)

![Fig. 6: resulting maximum residual stress $\sigma_{rs,\text{max}}$ for varied tool diameters $d_b$ based on constant maximum equivalent stress $\sigma_{eq,\text{max}}$.](image)

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**Table 3:** parameters for the analytical approach to define internal material loads according to Hertz.

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Cylindrical workpiece</th>
<th>Deep rolling tool</th>
</tr>
</thead>
<tbody>
<tr>
<td>Material</td>
<td>AISI 4140</td>
<td>Ceramic</td>
</tr>
<tr>
<td>Geometry</td>
<td>Spherical</td>
<td>Spherical</td>
</tr>
<tr>
<td>Diameter</td>
<td>60 mm</td>
<td>6 or 13 mm</td>
</tr>
<tr>
<td>Poisson’s ratio</td>
<td>0.30</td>
<td>0.33</td>
</tr>
<tr>
<td>Elastic modulus</td>
<td>210 GPa</td>
<td>305 GPa</td>
</tr>
</tbody>
</table>

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**Table 4:** determined rolling pressure $p_r$ resulting in constant maximum equivalent stresses $\sigma_{eq,\text{max}}$.

<table>
<thead>
<tr>
<th>No.</th>
<th>Max. equivalent stress $\sigma_{eq,\text{max}}$</th>
<th>Rolling pressure $p_r$</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1817 MPa</td>
<td>15 bar</td>
</tr>
<tr>
<td>2</td>
<td>2290 MPa</td>
<td>30 bar</td>
</tr>
<tr>
<td>3</td>
<td>2591 MPa</td>
<td>43 bar</td>
</tr>
<tr>
<td>4</td>
<td>3241 MPa</td>
<td>104 bar</td>
</tr>
<tr>
<td>5</td>
<td>3888 MPa</td>
<td>180 bar</td>
</tr>
<tr>
<td>6</td>
<td>4449 MPa</td>
<td>269 bar</td>
</tr>
<tr>
<td>7</td>
<td>5077 MPa</td>
<td>400 bar</td>
</tr>
</tbody>
</table>
Fig. 7 presents the maximum equivalent stress $\sigma_{eq,max}$ over the maximum residual stress $\sigma_{r,max}$ for different tool diameters $d_b$. Although the maximum equivalent stress $\sigma_{eq,max}$ increases continuously, the maximum compressive residual stress $\sigma_{r,max}$ seems to constitute a maximum. As shown before in Fig. 6, the graphs show an almost identical tendency for equal equivalent stress $\sigma_{eq,max}$. Supplemented with correlations of additional internal material loads for varied tool diameters $d_b$, a polynomial trend can be recorded. This trend might be reasonable considering of an achievable maximum in residual stress before a disruption of material occurs due to high loads [2]. The presented correlations allow a process parameter independent view on the resulting surface integrity.

![Fig. 7: correlation between maximum equivalent stress $\sigma_{eq,max}$ and resulting maximum residual stress $\sigma_{r,max}$ – an approach for process signature.](image)

4. Conclusion

In this study, deep rolling parameters were varied in defined ways to correlate the external load and the internal material loads with the resulting residual stresses. A consideration of a constant external load based on the deep rolling force $F_r$ for varied tool diameters $d_b$ showed poor comparability on basis of the residual stress depth profile.

Furthermore, an analytical approach by Hertz was used to describe the internal stress field below the surface of the material induced by deep rolling process. Based on the equivalent stress state, parameters were chosen, considering the internal loads of the material during machining. The maximum residual stress $\sigma_{r,max}$ for varied tool diameters $d_b$, at a constant maximum equivalent stress $\sigma_{eq,max}$, showed an average deviation over all assessed surfaces of less than 3 %.

This investigation indicates the demand to generate process signatures for processes with mechanical impact as they allow for correlation of the internal material loads of a process with the material modifications. Regarding the inverse problem of producing desired surface and subsurface properties, the results allow conclusions to deduce required process parameters in deep rolling investigations. Fig. 8 presents the calculable ratio of maximum internal material load to maximum external load over the process parameters rolling pressure $p_r$ and rolling force $F_r$. Considering the clear correlations between the ratio of stresses and the deep rolling parameters leading to this ratio, it will be possible to generate surfaces with desired residual stress states (inverse problem). Furthermore, validation of the observed effects at lower and higher equivalent stresses and varying tool diameter will be performed.

In addition, the depth effect of the process is of interest. A consideration of the penetration depth in the current analysis cannot be considered due to the measuring distances in the residual stress measurement. For this reason, the development of numerical approaches including elastoplastic effects is aspired for further investigations to gain extensive and detailed knowledge of the depth effect.

![Fig. 8: the inverse problem – derivation of process parameters for generating a defined material modification.](image)

Acknowledgements

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References