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# IMF concern for reputation and conditional lending failure: theory and empirics\*

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## Abstract

In this paper we suggest that the dual role played by the IMF, as a creditor and as a monitor of economic reforms, might explain the lack of credibility of the Fund threat of sanctioning non-compliance with conditionality. Specifically, we show that the IMF desire to preserve its reputation as a good monitor may distort its lending decisions towards some laxity. Moreover, such distortionary incentives may be exacerbated by the length of the relationship between a country and the Fund. Estimating a dynamic panel of 53 middle-income countries, for the period 1982-2001, we find that a longer relationship does increase IMF disbursements.

**Keywords:** IMF programmes, conditionality, incomplete information, reputation, dynamic panel.

**JEL Classification:** C23, D82, F34, N2.

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# 1 Introduction

There exists a large body of evidence documenting an unsatisfactory record of implementation of IMF conditionality by borrowing countries (e.g., see Joyce, 2004). A large proportion of IMF programmes is interrupted where such interruptions are not an indicator of graduation from the Fund but rather one of future referrals (recidivism).<sup>1</sup> More specifically, the IMF has recently come under criticism for allowing some countries to establish long-term relationships (or prolonged use), while, according to its original mandate, the Fund could only guarantee temporary assistance.<sup>2</sup>

In general, a prolonged use of IMF resources could be justified by thinking of economic adjustment as a multistage process that requires multiple IMF loans to be completed. However, the empirical evidence does not support such optimistic view, since the probability of “graduation” from the IMF by a borrowing country does not appear to be positively related to the number of cumulated lending arrangements (Easterly, 2005). On this respect, Conway (2000), analysing the transition from crisis to non-crisis through participation in IMF programmes, finds that the greater the time spent under IMF programmes over the preceding years, the lower the probability of ending the crisis in any period, independently of other country-specific effects. Thus, prolonged use of IMF resources rather suggests a lack of effectiveness of IMF supported programmes (i.e., poor programmes implementation and/or flaws in programmes design).

The possibility that some IMF specific interests may undermine the implementation of an IMF programme has recently been considered. Specifically, it has been argued that if the objective of conditional lending is to induce borrowing countries to carry out reforms (which otherwise would not be implemented), the threat of early interrupting financial assistance in case of non-compliance should be credible.<sup>3</sup> Nevertheless, several obstacles to the punishment of non compliance have been identified: political pressures (Barro and Lee, 2003), bureaucratic biases (Vaubel, 1986) and the so called “defensive lending” practice (Ramcharan, 2003), according to which the Fund would extend new loans to borrowers whose inability to service debt would entail large financial cost to the IMF.<sup>4</sup>

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<sup>1</sup>According to Bird et al.(2004) and Joyce (2005), recidivist nations seem to be caught in a vicious cycle: they start by entering Fund programmes out of necessity but then, presenting a poor record of compliance, a large proportion of these programmes is cancelled. However, with no penalty for past non-completion, such countries turn soon again to the Fund.

<sup>2</sup>A report published in 2002 by the IMF Independent Evaluation Office (IEO) deals specifically with the issue of prolonged use and provides a definition of prolonged use based on the concept of “time under arrangements”(i.e., a country is defined as being a prolonged user if it has been under an IMF arrangement for at least 7 years out of any 10). Under such definition, in 2001, the arrangements with prolonged users represented about half of the total number of IMF programmes, with a total exposure of about half of the total outstanding obligation to the IMF.

<sup>3</sup>We make the standard assumption that policy makers dislike the economic reforms imposed by conditionality. Among others see Svensson (2000), Drazen (2002) and Joyce (2003).

<sup>4</sup>In the case of Sub-Saharan African countries, Birdsall et al. (2003) find that donors, especially bilaterals, made greater transfers to countries with high multilateral debt, despite their bad policies. Marchesi and Missale (2004) find that while in the case of low income (non-HIPC) countries both multilateral new loans and grants decrease as multilateral debt increase, in the case of HIPC, such “correction” does not take place.

In this paper we propose a novel explanation of such lack of credibility of the IMF threat. We argue that the repeated nature of the IMF involvement, together with the fact that the Fund acts simultaneously as a lender and as a monitor of economic reforms, can reduce its incentives to punish slippages in the implementation of agreed policies. In a different context, this argument has been first applied by Boot and Thakor (1993) to sustain the view that the lender of last resort should not also be responsible for the surveillance of the banks.

We present a two-period model in which the adjustment process has a multistage structure and the borrowing country needs to enter two consecutive IMF programmes to complete it. In this framework the IMF is entrusted with two tasks. First, the Fund has to monitor the country's compliance with conditionality, where the IMF's ability as a monitor determines the probability with which departures from the required set of economic reforms will be detected and possibly punished. Then, the Fund is responsible for implementing a "social optimal lending rule" which consists in allowing borrowing countries to enter new loan agreements only when the expected return from their investments is positive.

The model is built on two crucial assumptions. Firstly, the Fund, as a monitor of conditionality, is to some extent involved in the success of the adjustment programmes.<sup>5</sup> More specifically, if the Fund is a good monitor, it is more likely that it will discover policy slippages early enough to get the country back on track by threatening the interruption of current and future disbursements. On the contrary, if it is a bad monitor, with a high probability the level of reforms actually implemented at the end of the programme will be that privately preferred by the country's government. Secondly, the outcome of the adjustment process can only be imperfectly evaluated by the Fund's stakeholders (or global taxpayers).

In this context we take a political economy approach by assuming that the IMF is a self-interested agent aimed at protecting its own reputation as a monitor and we focus on the consequences that such incentives do have on the lending rule adopted by the Fund in equilibrium. We assume that global taxpayers are uncertain about the ability of the IMF as a monitor. They never observe the actual level of the implemented reforms but they do observe the country's output (with one period lag with respect to the Fund) and use this information to revise their beliefs about the IMF quality as a monitor. This circumstance generates incentives for the Fund to exploit its informative advantage to protect its reputation, by hiding its surveillance failures. In turn, such incentives may distort its lending decisions towards greater laxity (relative to social optimum) in punishing non-compliance with conditionality.

An immediate testable implication of the model is that the length of the relationship between the IMF and the borrower country may exacerbate the departure from the socially optimal lending rule towards stronger laxity. In fact, when the Fund decides to interrupt a financial programme, after being involved with a country for many years, this circumstance could strongly signal that the Fund has not been able to monitor the implementation of reforms for a long time.

Therefore, we empirically test the hypothesis that the longer the relationship be-

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<sup>5</sup>Its responsibility is actually amplified by the fact that the Fund also designs the adjustment path (on this see Marchesi and Sabani, 2005).

tween a country and the Fund, the more willing to lend the IMF would be. We estimate a dynamic panel of 53 middle-income countries (listed in Table 1) over the period 1982-2001, controlling for countries' characteristics and their economic performance and for strategic motivations (including the defensive lending hypothesis) in Fund lending. We find that a longer relationship, represented by the cumulated number of years spent by a country under a Fund programme, significantly increases IMF disbursements. The empirical evidence is thus consistent with the main prediction of the theory.

The paper is organized as follows. The model is developed in Section 2, the equilibrium level of reforms are discussed in Section 3, while Section 4 derives the lending policy in a reputational equilibrium. Section 5 discusses some anecdotal evidence to provide verisimilitude to our modelling set up. Section 6 develops the empirical framework and Section 7 presents the empirical results. Section 8 finally contains some policy implications and concludes the paper.

## 2 The model

### 2.1 Overview

The model presented is a four stage game between three agents: the IMF, a borrowing country's government and global taxpayers. All agents are risk neutral and time extends over two periods.

To capture the idea that economic adjustment is a multistage process, which requires multiple investments to be completed, we assume that, at the beginning of each period, the country's government faces two "adjustment options". The first option requires a fixed investment  $I_1$ , while the second requires a fixed investment  $I_2$ . It is assumed that in both periods the country needs the IMF financial assistance to finance both investments. Financial assistance is provided through IMF programmes whose duration is one period. Thus, the borrowing country's government needs to enter two consecutive programmes to exploit both adjustment options.

For simplicity, we suppose that the IMF requires a risk-free interest rate equal to zero. Moreover, we assume that, at  $t=0$ , the country has already some investments in place, which payoff, at  $t=1$ , a random amount  $\tilde{y}$ .  $\tilde{y}$  has a distribution function  $F(\cdot)$  and a density function  $f(\cdot)$  with support  $[0, \bar{y}]$ , where  $\bar{y}$  is a positive finite real valued scalar. The assets in place at  $t=0$  expire at  $t=1$  and so there is no payoff from those assets at  $t=2$ .

Figure 1 illustrates the time line. At  $t=0$ , the country's government and the IMF sign an agreement in which the Fund makes  $I_1$  available to the borrowing country for the duration of the agreement. The government draws on these funds to finance the first adjustment option, whose expected output depends positively on the level of economic reforms  $R_1$  actually implemented by the government in period 1, with  $R_1 \in [0, 1]$ . The IMF subordinates the access to its funds to the implementation of a level of economic reforms  $R^*$  and it monitors the government's compliance with the suggested reforms.  $R^*$  maximises the expected output from the investment, and thus it represents the social optimal level of economic reforms. However, since reforms

eliminate economic and other distortions, they also reduce the level of political and economic rents that can be extracted by the government for its private gain. For this reason the government will always prefer a level of reforms  $R_1$  lower than  $R^*$ , unless this choice will be opportunely sanctioned by the Fund.<sup>6</sup> At  $t=0$ , the IMF quality as a monitor is unknown to everybody but global taxpayers and the country's government have got a prior belief  $\gamma \in (0, 1)$  that it is a good monitor and they will update their beliefs by Bayes' rule, as soon as they receive new information (at  $t=1/2$ , at  $t=1$  and at  $t=2$ )<sup>7</sup>.

At  $t=1/2$  (interim period) the IMF observes the country's reform effort with some noise.<sup>8</sup> If the Fund is a good monitor, it will discover departures from the required reform level  $R^*$  with probability  $\rho_g$ . If it is a bad monitor, the probability will be  $\rho_b$ , with  $\rho_g > \rho_b$ . If the IMF discovers some departure from  $R^*$ , it can credibly threaten the country to immediately interrupt access to current and future programmes.<sup>9</sup> We assume that the government will accept to live up with conditions and to ultimately implement  $R^*$  only if the Fund actually forces the country to switch to  $R^*$ . On the contrary, if the Fund does not detect such departures, the reform level achieved by the government, at the end of the first period, will be the one which the latter prefers. Thus, the ability of the Fund as a monitor determines the probability with which  $R^*$  is implemented in the first period.

The first programme ends at  $t=1$ , when the first period output is realised and first period obligations are paid off. The country now needs a second loan to finance the second adjustment option whose expected output depends both on the level of reforms  $R_1$ , implemented in the first period, and on the economic reforms  $R_2$ , to be implemented in the second. The IMF now observes  $R_1$  and the country's output with no noise and, on the basis of such information, it decides whether or not to grant a second loan.<sup>10</sup> For simplicity, we exclude Fund monitoring in the last period, thus, the level of reforms implemented during the second period will be the one privately preferred by the government.

Global taxpayers are the least informed players. They can observe the country's output only with one period lag and they never observe the actual level of reforms.<sup>11</sup> As a consequence, at  $t=1$ , they observe only the Fund decision to refinance (or not) the country and they accordingly update their beliefs. At  $t=2$ , if a second agreement

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<sup>6</sup>More specifically, there exists a conflict of interest between the Fund and its borrowers due to the influence of some private interests in the borrowing government's policy choices. Therefore, with no sanctions, the government will not meet the IMF prescriptions.

<sup>7</sup>The existence of some uncertainty over the IMF ability as a monitor can be justified, for example, by the complexity of the monitoring activity (see Section 6 for a discussion on this point)..

<sup>8</sup>In our model, the interim period is meant to capture the traditional structure of the IMF monitoring activity, which involves a periodical check of compliance with the performance criteria and benchmarks of the arrangements.

<sup>9</sup>The credibility of such a threat is fundamental in our model. The Fund is invested in the success of its own programmes only if it has some ability to "enforce" its conditions. In our model this ability comes from its leverage as a creditor.

<sup>10</sup>The second period loan may also be seen as the second disbursement of a programme's credit.

<sup>11</sup>The assumption that global taxpayers do not observe the actual reform level, even at the end of the second period, is not crucial. In fact, relaxing such assumption does not qualitatively change the main result. What is actually crucial is the fact that the IMF is able to observe the implemented reforms one period in advance.

has been signed, global taxpayers observe the first period country's output and they accordingly update their beliefs. Otherwise, we assume that their information set at  $t=2$  is the same as it was at  $t=1$ .

If the Fund were a social surplus maximizer, at time  $t=1$ , it would implement a socially optimal lending rule, according to which borrowing countries would be allowed to enter a new agreement only when the social surplus from the new loan is positive. However, since the IMF is also concerned about its own reputation as a monitor, such reputational concern adversely affects the efficiency of the lending rule adopted in equilibrium. Specifically, since the refinancing - not refinancing decision provides information not only on the behaviour of the borrowing government but also on the IMF's type as a monitor, the Fund might prefer not to interrupt financial assistance, even if the second period loan has a negative net present value.

Let us now examine the model in greater details.

## 2.2 Adjustment options

The first adjustment option yields a random payoff  $\tilde{X}_1$  at the end of the first period.  $\tilde{X}_1$  may take the value of  $X_1 > I_1$ , with probability  $p_1(R_1) \in (0, 1)$ , and the value of 0 with the complementary probability.

*Assumption 1.* We assume  $p_1(\cdot)$  is a continuous twice differentiable concave function of  $R_1$ . The function is strictly increasing within the range  $R_1 \in [0, R^*]$ <sup>12</sup>

By undertaking economic reforms up to the level  $R^*$  the government increases efficiency and thus it enhances the expected output from the investment. This means that  $R^*$ , the level of reforms required by the IMF, is the social optimal level of economic reforms.<sup>13</sup> However, since reforms eliminate economic and other distortions, they also reduce the level of political and economic rents that can be extracted by the government for its private gain. Let  $C_1(R_1)$  be the cost in terms of rents reduction associated to the economic reform level  $R_1$ . We assume the following:

*Assumption 2.*  $C_1(\cdot)$  is a continuous twice differentiable increasing convex function of the economic reform level, where  $C_1(0) = 0$ <sup>14</sup>

If the first loan agreement is not interrupted, the country realises  $\tilde{y} + \tilde{X}_1$  at time  $t=1$ . Whatever the realized payoff at  $t=1$  is, we assume that the country always needs IMF financial assistance to implement the second period adjustment option. This means that  $\tilde{y} + X_1$  will be always smaller than  $I_1 + I_2$ .

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<sup>12</sup>A degree of economic reforms exceeding  $R^*$  has negative effects. This could be explained by referring to output losses due to social conflicts generated by reforms. For example, if the labour force feels that an IMF adjustment program is imposing an unnecessary hardship, the government may lack the political support to continue the adjustment program and efficiency may suffer. In general it is realistic to consider the economic reform process as a sequential process in which time is essential to allow the economy to adapt to the new environment.

<sup>13</sup>We are simply assuming that the IMF is instructed to enforce a choice of  $R = R^*$  which maximizes the single-period social surplus from the adjustment options. Another possibility would be that the IMF chooses  $R^*$  to maximize its objective function (1) but this would introduce another delegation problem. In Marchesi and Sabani (2005) we consider the possibility that the suggested  $R^*$  does not maximize the adjustment option expected output, which is equivalent to assume a flaw in the programme design.

<sup>14</sup>We also assume that  $\frac{\partial p_1(0)}{\partial R_1} > \frac{\partial C_1(0)}{\partial R_1}$  to avoid corner solutions in the maximisation problem.

The second adjustment option has a random payoff  $\tilde{X}_2$  which takes the value of  $X_2 > I_1 + I_2$  with probability  $p_2(R_1, R_2)$  and the value of 0 with the complementary probability.<sup>15</sup>

*Assumption 3.* If  $R_1 \neq R^*$ ,  $p_2(R_1, R_2) = p_1(R_2)$ ; if  $R_1 = R^*$ ,  $p_2(R_1, R_2) = p_1(R_2) + \alpha$ , where  $\alpha$  is a positive finite real valued scalar such that  $p_1(R^*) + \alpha < 1$ .

From assumptions 1 and 3 it follows that  $p_2(R_1, R_2)$  is strictly increasing within the range  $R_2 \in [0, R^*]$ . Furthermore, we assume that the probability of success of the second period adjustment option has a “jump” when the optimal level of reforms  $R^*$  is implemented in the first period. The rationale behind this hypothesis rests on the fact that financial assistance is more productive in a good policy environment.<sup>16</sup> As in period 1, the government’s private rents are a decreasing function of the second period reform effort. For simplicity we impose the following:

*Assumption 4.*  $C_2(\cdot) = C_1(\cdot)$

## 2.3 The IMF objective function

We start by assuming that, at  $t=0$ , an agreement between the country and the Fund has already been signed. Therefore, we do not model the IMF decision to enter into the first period agreement: in other words the Fund is called to “move” only at  $t=1/2$  and at  $t=1$ . Let us examine the decision taken at  $t=1$  and then proceed backwards.

At  $t=1$ , the IMF decides to approve a second agreement in order to maximize a weighted sum of two arguments. The first argument is a “private” gain deriving from its reputation as a good monitor, while the second is the social surplus arising from the second period investment. That is:

$$\text{Max } Z = \lambda_1 \{ \gamma_1 + \delta \gamma_2 \} + \lambda_2 \{ p_2(R_1, R_2) X_2 - I_2 \}, \quad (1)$$

where  $\lambda_1, \delta, \lambda_2$  are positive finite real valued scalars and  $\gamma_1, \gamma_2$  are global taxpayers’ posterior beliefs about the IMF’s type at the end of the first and of the second period, respectively.<sup>17</sup> Note that, if  $\lambda_1 = 0$ , the IMF would be totally selfless, while if  $\lambda_2 = 0$ , the IMF would be completely selfish.

At  $t=1/2$ , if any departure from the required set of reforms is detected, the IMF can deny access to current and future loans. Such a threat is credible if the Fund’s expected payoff from this choice is greater than the expected payoff deriving from maintaining the programme, despite the government’s refusal to implement  $R^*$ .<sup>18</sup>

<sup>15</sup>This parametric restriction guarantees that the borrowing country’s government always strictly prefers to continue its relationship with the Fund at  $t=1$ .

<sup>16</sup>To take into account the impact of  $R_1$  on the second period expected output we chose this specific functional form because of its analytical advantages. However, the qualitative results would not change by assuming that, at the margin, the effect on  $p_2$  of an increase in  $R_1$  is always positive for each level of  $R_1$ .

<sup>17</sup>We do not include an IMF budget constraint since the Fund might activate supplementary borrowing arrangements (through GAB and NAB) if it believes that its resources might fall short of members’ needs. It is plausible to think that the IMF ability to raise its budget depends on its reputation, where reputation building is indeed an argument of the Fund’s objective function.

<sup>18</sup>At this stage, the IMF maximises  $\lambda_1 \gamma_{1/2} + \lambda_2 \{ p_1(R_1) X_1 - I_1 \} + E(Z)$ , where  $\gamma_{1/2}$  is the global taxpayers’ posterior belief about the IMF type at  $t=1/2$  and the expected value of  $Z$  is computed on the basis of the equilibrium lending rule followed by the IMF at  $t=1$ .



For the time being we assume that this threat is credible. We will clarify below under which condition this is actually true in equilibrium.<sup>19</sup> 28.

## 2.4 The government objective function

The government objective function consists in maximizing the expected value of its profits. Thus, at  $t=0$ , the government chooses  $R_1$  to maximize the expected return from both investments, net of the private costs related to rents reduction. The choice of  $R_1$  crucially depends on the conjectured IMF lending policy at  $t=1$ .

If the level of economic reforms  $R_1$  privately preferred by the government is smaller than  $R^*$ , there is a positive probability that such policy slippage will be detected by the Fund at  $t=1/2$ . Under this circumstance, we assume that the government, facing the actual threat of losing IMF financial assistance, and thus the possibility of exploiting both adjustment opportunities, will choose to implement  $R^*$ .<sup>20</sup> Specifically, we are assuming that the government's payoff from implementing  $R^*$  in the first period is greater than its reservation payoff in case of no access to IMF loans. On the contrary, if policy slippages remain undetected at  $t=1/2$ , the government will manage to implement the level of economic reforms privately preferred.<sup>21</sup>

Finally, in the second period, if financial assistance has been continued, the government chooses  $R_2$  to maximize the second period expected profits.

## 3 The equilibrium level of economic reforms

This section provides a description of the government's equilibrium decisions in both periods. We begin with the second period, taking  $R_1$  as given. Then, we analyse the choice of  $R_1$ , taking into account that the government is aware that its choice might influence the Fund lending policy at  $t=1$ .

### 3.1 The equilibrium level of reforms in the second period

At  $t=1$ , if the IMF decides to enter into a second loan agreement with the country, the government chooses the level of  $R_2$  by solving the following optimization problem:

$$\underset{R_2}{Max} l(R_2) = p_2(R_1, R_2)(X_2 - (I_2 - \tilde{k})) - \tilde{k} - C_2(R_2), \quad (2)$$

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<sup>19</sup>See footnote

<sup>20</sup>It may be very costly for a government to defect on the IMF, especially when official or private creditors around the world rely on the IMF "seal of approval" to sign their loan agreements. Obviously if the conditions to be implemented are particularly harsh, a country might still prefer to exit from the IMF arrangement. However, for simplicity, we do not model here such possibility.

<sup>21</sup>What we have in mind is a situation in which the borrowing government tries to get advantage of the difficulties in monitoring its compliance with conditions, by attempting to pass the "test date"  $t=1/2$ , with a level of reform lower than the one required. The robustness of this hypothesis is confirmed by Goldsbrough et. al. (2002) who stress how IMF conditionality on structural policies has often been exceedingly broad, without a clear order of priority among conditions. As a result, compliance with a subset of these conditions did not ensure that the most critical problems were being addressed, although it was often sufficient for continued access to Fund resources.

where  $R_1$  is given and  $\tilde{k} = \tilde{y} + \tilde{X}_1 - I_1$  is the borrowing country's own capital, which can be negative.

Solving (2), we find that the unique maximizer of (2),  $\hat{R}_2$ , is implicitly given by:

$$\frac{\frac{\partial C_2(\hat{R}_2)}{\partial R_2}}{\frac{\partial p_2(\hat{R}_2)}{\partial R_2}} = X_2 + \tilde{k} - I_2. \quad (3)$$

Recalling that, by assumption 3, the socially optimal choice for  $R_2$  is:

$$R^* = \operatorname{argmax} p_2(R_1, R_2), \quad (4)$$

we have the following:

**Proposition 1** (i)  $\hat{R}_2 < R^*$  unless  $\frac{\partial C_2(R_2)}{\partial R_2} = 0$ . (ii)  $\frac{\partial \hat{R}_2(\tilde{k})}{\partial \tilde{k}} > 0$

**Proof.** i) It is immediate from equation (3) (ii) It derives from equation (3) and the implicit function theorem. ■

Proposition 1 implies that the lower the country's own capital  $\tilde{k}$  (i.e., the higher the second period IMF loan), the lower the reform effort chosen by the government in the second period. This result is quite intuitive since, while the cost of implementing reforms, in terms of rents reduction, is entirely borne by the government, the benefit (an increase in the probability of success of the adjustment option) is divided between the government and the IMF. Therefore, the less the government borrows, the more it obtains in case of success and the more it wants to reform.

We now examine the relationship between  $\tilde{k}$  and the government's expected profits in the second period. From equation (2) we obtain:

$$l(\hat{R}_2(\tilde{k})) = p_2(R_1, \hat{R}_2(\tilde{k}))(X_2 - (I_2 - \tilde{k})) - \tilde{k} - C_2(\hat{R}_2(\tilde{k})), \quad (5)$$

which represents, for each value of  $\tilde{k}$ , the maximum value of the government's expected profits in the second period, conditional on being allowed to enter into a second agreement with the IMF. We can prove the following:

**Proposition 2** *Conditional on being allowed to continue, the government is better off with a lower capital, for each given choice of the first period reform level.*

**Proof.** Using the envelope theorem, it is easy to show that:

$$\frac{\partial l(\hat{R}_2(\tilde{k}))}{\partial \tilde{k}} = p_2(R_1, \hat{R}_2(\tilde{k})) - I_2 < 0.$$

■

Proposition 2 tells us that the government has no incentive, at  $t=0$ , to insure itself against states of low capital at  $t=1$  (conditional on being allowed to continue), since its second period expected profits increase as its own capital decreases (and the IMF loan increases). This result obtains because of the hypothesis of limited liability which implies that, in case of failure, the borrowing government will loose

only its capital. In other words, since the loan is repaid only in case of success, the share of the adjustment option NPV that the country can obtain is decreasing in the level of its capital.<sup>22</sup> In case of failure of the adjustment option the realized output is zero. Therefore, given the positive relationship between  $R_1$  and the expected value of  $\tilde{k}$  assessed at  $t=0$  (namely  $\frac{\partial E_0(\tilde{k}|R_1)}{\partial R_1} > 0$ ),<sup>23</sup> the government's incentives to reform, in the first period, might perversely be affected by the perspective to enter into a second IMF agreement. However, as we will see below, if the Fund adopts a "tough" lending policy at  $t=1$  (i.e., a lending policy which punishes bad performers) the government will trade off the incentives to preserve its profits in the second period with the incentives to reform in the first.

### 3.2 The equilibrium level of reforms in the first period

In this section we want to derive the government's privately optimal level of reforms in the first period. At  $t=0$ , the government chooses the level of reforms which maximises the expected profits from the adjustment option, taking into account the continuation probability of the IMF loan. First of all we analyse the case in which the IMF never stops lending at  $t=1$ , then we will analyse the case in which the IMF follows a socially optimal lending rule. In the next section we will present the case in which the Fund follows a reputational lending rule.

Let  $\widehat{R}_1^j$  represent the government's privately optimal reforms in the first period, where  $j = L, SO, R$  indicates the lending policy followed by the Fund at  $t=1$ .  $L$  will denote the choice of lending whatever the realised country's output is,  $SO$  will denote the choice of following a socially optimal lending rule and, finally,  $R$  will denote the choice of a reputational lending rule.

#### 3.2.1 The IMF never stops lending

Let us suppose that the Fund never stops lending and let  $L(R_1)$  denote the government's expected profits from obtaining the second loan. They are computed at  $t=0$  and are conditional on a given choice of  $R_1$ . That is:

$$\begin{aligned}
L(R_1) = & p_1(R_1) \int_0^{\bar{y}} p_2(R_1, \widehat{R}_2(\tilde{k}^s))(X_2 - (I_2 - \tilde{k}^s)) - \tilde{k}^s - C_2(\widehat{R}_2(\tilde{k}^s))f(y)dy + \\
& (1 - p_1(R_1)) \int_{y_c}^{\bar{y}} p_2(R_1, \widehat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - \tilde{k}^f - C_2(\widehat{R}_2(\tilde{k}^f))f(y)dy + \\
& (1 - p_1(R_1)) \int_0^{y_c} p_2(R_1, \widehat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - C_2(\widehat{R}_2(\tilde{k}^f))f(y)dy, \quad (6)
\end{aligned}$$

where  $\tilde{k}^s = X_1 + \tilde{y} - I_1$  is the country's own capital in case of success of the first period investment, while  $\tilde{k}^f = \tilde{y} - I_1$  is the level of capital in case of failure. Moreover,  $y_c$  represents the minimum realization of  $\tilde{y}$  such that  $\tilde{k}^f \geq 0$ , that is  $y_c = I_1$ .

Let  $\rho = \gamma\rho_g + (1 - \gamma)\rho_b$  be the prior belief-weighted probability that the IMF will be able to enforce the choice of  $R^*$  in the first period. Defining  $\phi(R_1) = p_1(R_1)(X_1 -$

<sup>22</sup>Introducing a fixed cost of default would not change results.

<sup>23</sup>This is easy to verify by recalling that  $E_0(\tilde{k} | R_1) = \int_0^{\bar{y}} yf(y)dy + p_1(R_1)X_1 - I_1$

$I_1) - C_1(R_1)$ , we can now write the country's government problem, at  $t=0$ , as that of choosing  $R_1$  to maximize the following:

$$X(R_1) = (1 - \rho)(\phi(R_1) + L(R_1)) + \rho(\phi(R^*) + L(R^*)). \quad (7)$$

The government's privately optimal first period reform level  $\widehat{R}_1^L$  satisfies the following:

$$\frac{\partial X(\widehat{R}_1^L)}{\partial R_1} = (1 - \rho) \left( \frac{\partial \phi(\widehat{R}_1^L)}{\partial R_1} + \frac{\partial L(\widehat{R}_1^L)}{\partial R_1} \right) = 0, \quad (8)$$

where we assume  $\widehat{R}_1^L < R^*$ .<sup>24</sup>

### 3.2.2 The IMF follows the social optimal lending rule

Let's start by defining the socially optimal lending rule. Given  $R_1$  and the realisation of the first period output, for the IMF it will be socially optimal to continue lending if:

$$p_2((R_1, \widehat{R}_2(\widetilde{k}))X_2 \geq I_2. \quad (9)$$

More specifically, the socially optimal lending rule would dictate to stop lending whenever the government, in the second period, chooses a level of  $R_2$  such that the adjustment option has a negative NPV. Thus, we have the following:

**Proposition 3** *If  $R_1 \neq R^*$  there exists a threshold level for  $\widetilde{k}$  such that if  $\widetilde{k} < \bar{k}$  it is socially optimal for the IMF to stop lending. If  $\widetilde{k} \geq \bar{k}$ , it is socially optimal to continue, where  $\bar{k}$  is found solving  $p_2(R_1, \widehat{R}_2(\bar{k}))X_2 = I_2$ .*

**Proof.** The result follows immediately from Proposition by recalling that  $\frac{\partial \widehat{R}_2(\widetilde{k})}{\partial \widetilde{k}} > 0$ .  
■

*Assumption 5.* *If  $R_1 = R^*$ , for the IMF it is always socially optimal to continue lending, that is:*

$$p_2((R_1, \widehat{R}_2(\widetilde{k}))X_2 = (p_1(\widehat{R}_2(\widetilde{k})) + \alpha)X_2 > I_2 \quad \forall \widetilde{k}.$$

Assumption 5 implies that, if in the first period the socially optimal level of reforms is implemented, the net present value of the second period adjustment option will be positive, independently of  $\widehat{R}_2$ . Thus, under a socially optimal lending rule, accomplishment of conditionality in the first period is a sufficient condition for obtaining a second loan at  $t=1$ .<sup>25</sup>

<sup>24</sup>We are excluding the possibility that the increase in the second period probability of success ( $\alpha$ ), due to the choice of  $R^*$ , would be sufficient to induce the government to choose the social optimum level of reforms in the first period. However, the case in which the IMF and the recipient government had the same objectives would not be very interesting per sé.

<sup>25</sup>Alternatively, even with  $R_1 = R^*$ , it would be possible to assume that there exists a threshold value of  $k$  such that, for smaller values of  $k$ , for the IMF it would never be socially optimal to keep on lending. However, while complicating the analysis, this hypothesis would not change significantly our results.

Suppose now that  $\tilde{k}^s > \bar{k}$ , for each realisation of  $\tilde{y}$ . On the contrary, when  $\tilde{k} = \tilde{k}^f$ , let  $z = \bar{k} + I_1$  be the minimum realisation of  $\tilde{y}$  which allows the government to obtain the second loan in case of failure of the first period investment. Conditional on the socially optimal lending rule, the second period expected profits, assessed at  $t=0$ , are:

$$\begin{aligned}
L(R_1, z) = & p_1(R_1) \int_0^{\bar{y}} p_2(R_1, \hat{R}_2(\tilde{k}^s))(X_2 - (I_2 - \tilde{k}^s)) - \tilde{k}^s - C_2(\hat{R}_2(\tilde{k}^s))f(y)dy + \\
& (1 - p_1(R_1)) \int_{y_c}^{\bar{y}} p_2(R_1, \hat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - \tilde{k}^f - C_2(\hat{R}_2(\tilde{k}^f))f(y)dy + \\
& (1 - p_1(R_1)) \int_z^{y_c} p_2(R_1, \hat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - C_2(\hat{R}_2(\tilde{k}^f))f(y)dy, \quad (10)
\end{aligned}$$

where the last integral is zero if  $z > y_c$ . It is immediate to verify that:

$$L(R_1, z) = L(R_1) - (1 - p_1(R_1)) \int_0^z p_2(R_1, \hat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - C_2(\hat{R}_2(\tilde{k}^f))f(y)dy, \quad (11)$$

if  $z \leq y_c$ , and:

$$\begin{aligned}
L(R_1, z) = & L(R_1) - (1 - p_1(R_1)) \int_{y_c}^z p_2(\hat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - \tilde{k}^f - C_2(\hat{R}_2(\tilde{k}^f))f(y)dy - \\
& (1 - p_1(R_1)) \int_0^{y_c} p_2(\hat{R}_2(\tilde{k}^f))(X_2 - (I_2 - \tilde{k}^f)) - C_2(\hat{R}_2(\tilde{k}^f))f(y)dy,
\end{aligned}$$

if  $z > y_c$ .

Thus, the government problem, at  $t=0$ , now becomes that of choosing  $R_1$  to maximize the following:

$$X(R_1, z) = (1 - \rho)(\phi(R_1) + L(R_1, z)) + \rho(\phi(R^*) + L(R^*)). \quad (12)$$

Let  $\hat{R}_1^{SO}$  be the level of first period reform which maximises (12), we now show the following:

**Proposition 4** *If the IMF will interrupt the disbursements whenever  $\tilde{k} < \bar{k}$  the desire to preserve second period profits will induce the government to choose a higher reform level in the first period, that is  $\hat{R}_1^{SO} > \hat{R}_1^L$*

**Proof.** To prove the result it is sufficient to show that:

$$\frac{\partial X(R_1, z)}{\partial R_1} \Big|_{R_1 = \hat{R}_1^L} > 0.$$

From equation (8) noting that:

$$\frac{\partial \phi(R_1)}{\partial R_1} + \frac{\partial L(R_1)}{\partial R_1} \Big|_{R_1 = \hat{R}_1^L} = 0,$$

for  $z \leq y_c$  we have:

$$\begin{aligned} & \frac{\partial X(R_1, z)}{\partial R_1} \Big|_{R_1 = \widehat{R}_1^L} = \\ & -(1 - \rho) \left( \frac{\partial(1 - p(\widehat{R}_1^L))}{\partial R_1} \right) \int_0^z p_2(R_1, \widehat{R}_2(\widetilde{k}^f))(X_2 - (I_2 - \widetilde{k}^f)) - C_2(\widehat{R}_2(\widetilde{k}^f))f(y)dy, \end{aligned}$$

where the right hand side is surely positive. For  $z > y_c$  we find an analogous result.

■

## 4 Lending policy in a reputational equilibrium

In this section we want to examine whether the socially optimal lending policy is sustainable in equilibrium. We start by assuming that the market (both global taxpayers and the country's government) believe that the IMF will stop lending whenever  $\widetilde{k} < \bar{k}$  and we will show that this belief is unsustainable in equilibrium. The first thing to show is that it is always true that:  $\gamma_1(NL) < \gamma_1(L)$ , where  $NL$  stands for “Not Lending” and  $L$  for “Lending”.

If global taxpayers observe  $L$ , this circumstance can be the consequence of two events: either  $R_1 = R^*$ , or  $R_1 = \widehat{R}_1^{SO}$  and  $\widetilde{k} > \bar{k}$ . Applying Bayes' rule we have:

$$\gamma_1(L) = \text{prob}(g | L) = \frac{\gamma \text{prob}(L | g)}{\gamma \text{prob}(L | g) + (1 - \gamma) \text{prob}(L | b)}, \quad (13)$$

where:

$$\text{prob}(L | g) = \rho_g + (1 - \rho_g) \int_{\bar{k}}^{X_1 + \bar{y} - I_1} h(\widetilde{k} | R_1 = \widehat{R}_1^{SO}) d\widetilde{k}, \quad (14)$$

and:

$$\text{prob}(L | b) = \rho_b + (1 - \rho_b) \int_{\bar{k}}^{X_1 + \bar{y} - I_1} h(\widetilde{k} | R_1 = \widehat{R}_1^{SO}) d\widetilde{k}. \quad (15)$$

Since (14) is greater than (15), it is easy to show that  $\gamma_1(L) > \gamma$ .<sup>26</sup> Alternatively, if global taxpayers observe  $NL$ , this event signals that the joint event  $R_1 < R^*$  and  $\widetilde{k} < \bar{k}$  has realised. The interruption of the lending programme provides global taxpayers with the information that the IMF has not been able to detect policy slippages in the interim period and finally “enforce” the optimal level of reforms. Since this is more likely for a bad monitor than for a good monitor, applying Bayes' rule, we have:

$$\gamma_1(NL) = \text{prob}(g | NL) = \frac{\gamma \text{prob}(NL | g)}{\gamma \text{prob}(NL | g) + (1 - \gamma) \text{prob}(NL | b)},$$

where:

$$\text{prob}(NL | g) = 1 - \rho_g,$$

and:

$$\text{prob}(NL | b) = 1 - \rho_b,$$

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<sup>26</sup>  $h$  is the probability density function of the sum of the two stochastic variables  $\widetilde{I}_1$  and  $\widetilde{y}$ .

by which it is easy to show that  $\gamma_1(NL) < \gamma$ . Therefore, it follows that  $\gamma_1(NL) < \gamma < \gamma_1(L)$ .

If the IMF was completely selfish its objective function would be the first argument of (1). If the financial assistance programme was stopped at the end of the first period, the IMF would end up with:

$$\gamma_1(NL) + \delta\gamma_1(NL),$$

since  $\gamma_1 = \gamma_2$ . While, if the IMF did not stop lending, it would obtain:

$$\gamma_1(L) + \delta\gamma_2(L, \tilde{k}).$$

We now show the following:

**Proposition 5**  $\gamma_2(L, \tilde{k}) > \gamma_1(NL) \quad \forall \tilde{k}$

**Proof.** (i) If  $\tilde{k} > \bar{k}$ , global taxpayers, applying Bayes' rule, would obtain:

$$\gamma_2(L, \tilde{k}) = \text{prob}(g \mid L, \tilde{k} > \bar{k}) = \frac{\gamma \text{prob}(L, \tilde{k} > \bar{k} \mid g)}{\gamma \text{prob}(L, \tilde{k} > \bar{k} \mid g) + (1 - \gamma) \text{prob}(L, \tilde{k} > \bar{k} \mid b)},$$

where:

$$\text{prob}(L, \tilde{k} > \bar{k} \mid g) = \rho_g \text{prob}(\tilde{k} > \bar{k} \mid R_1 = R^*) + (1 - \rho_g) \text{prob}(\tilde{k} > \bar{k} \mid R_1 = \hat{R}_1^{SO}),$$

and:

$$\text{prob}(L, \tilde{k} > \bar{k} \mid b) = \rho_b \text{prob}(\tilde{k} > \bar{k} \mid R_1 = R^*) + (1 - \rho_b) \text{prob}(\tilde{k} > \bar{k} \mid R_1 = \hat{R}_1^{SO}).$$

Since  $\frac{\partial E_0(\tilde{k} \mid R_1)}{\partial R_1} > 0$ , we observe that

$$\frac{\text{prob}(L, \tilde{k} > \bar{k} \mid b)}{\text{prob}(L, \tilde{k} > \bar{k} \mid g)} < \frac{1 - \rho_b}{1 - \rho_g},$$

by which it is easy to show the result.

(ii) If  $\tilde{k} < \bar{k}$ , given the conjectured equilibrium strategies, this event would be consistent only with  $R_1 = R^*$ . Then:

$$\frac{\text{prob}(L, \tilde{k} < \bar{k} \mid b)}{\text{prob}(L, \tilde{k} < \bar{k} \mid g)} = \frac{\rho_b}{\rho_g} < \frac{1 - \rho_b}{1 - \rho_g},$$

and the result is easy to prove. ■

Therefore, it follows that, for each level of  $\tilde{k}$  which is observed by global taxpayers at the end of the second period, it would never be rational for the “completely selfish” IMF to interrupt the programme. Thus, when the IMF is totally selfish, the socially optimal lending rule cannot be sustainable in equilibrium.<sup>27</sup> Alternatively, when the

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<sup>27</sup>When the IMF is completely selfless (i.e., it is just a social surplus maximizer) it will always apply the socially optimal lending rule and so this will be the only possible equilibrium.

IMF objective function is a mix of the two arguments (reputation and the NPV of the second period adjustment option), the IMF will weight the reputation loss deriving from the decision of stopping the programme against the welfare loss deriving from the decision to finance an investment with a negative NPV. In this case, the following Proposition describes the IMF optimal strategies, given the global taxpayers equilibrium beliefs.

**Proposition 6** *The following strategies and beliefs constitute a Bayesian sub-game perfect equilibrium.*

*IMF equilibrium strategies (reputational lending rule).*

*When  $R_1 = R^*$ , the IMF will continue lending whatever the level of capital is. When  $R_1 \neq R^*$ , the IMF will stop lending if  $\tilde{k} \leq \overleftarrow{k}$ , while it will continue lending if  $\tilde{k} \geq \overrightarrow{k}$ . For intermediate  $\tilde{k}$ , i.e.  $\overleftarrow{k} < \tilde{k} < \overrightarrow{k}$ , the IMF will continue lending with probability  $\theta(\tilde{k})$ , where  $\frac{\partial \theta(\tilde{k})}{\partial \tilde{k}} > 0$ ,  $\theta(\overrightarrow{k}) = 1$  and  $\theta(\overleftarrow{k}) = 0$ .*

*Global taxpayers equilibrium beliefs.*

*At  $t=1$ , if global taxpayers observe  $L$ , they would know that this can be due to two events: either  $R_1 = R^*$  or, with probability  $\theta(\tilde{k})$ ,  $R_1 \neq R^*$  and  $\tilde{k} > \overleftarrow{k}$ , and they would update their beliefs accordingly, using Bayes' rule. Alternatively, if they observe  $NL$ , they would know with certainty that  $R_1 \neq R^*$  and they would update their beliefs accordingly using Bayes' rule.*

*At  $t=2$ , we should distinguish two events:*

*(i)  $L$  has been observed at  $t=1$ . If global taxpayers now observe  $\tilde{k} \leq \overleftarrow{k}$  they would know with certainty that  $R_1 = R^*$  and they would update their beliefs accordingly, using Bayes' rule. If global taxpayers observe  $\tilde{k} > \overleftarrow{k}$  they would know that this can be due to two events: either  $R_1 = R^*$  or, with probability  $\theta(\tilde{k})$ ,  $R_1 \neq R^*$  and  $\tilde{k} > \overleftarrow{k}$ , and they would update their beliefs accordingly using Bayes' rule.*

*(ii)  $NL$  has been observed at  $t=1$ . Since the information set remains the same over the two periods:  $\gamma_1 = \gamma_2$ .*

**Proof.** See the Appendix ■

Proposition 6 implies that in equilibrium the IMF will stop lending less often than it would be recommended by a socially optimal lending rule. Figure 2 represents the welfare loss and the private gain in reputation of the IMF as a function of the level of capital  $\tilde{k}$ . According to the value of  $\tilde{k}$ , three relevant cases are represented.

If  $-I_1 \leq \tilde{k} \leq \overleftarrow{k}$ , since the welfare loss associated to the choice of lending is greater than the private gain in reputation, the IMF will not have any incentive to deviate from the equilibrium strategy “not lending” ( $NL$ ). Alternatively, if  $\overleftarrow{k} \leq \tilde{k} \leq \overrightarrow{k}$ , the private gain in reputation associated to lending ( $L$ ) is greater than the welfare loss associated to the same strategy when  $R_1 \neq R^*$ , and so the Fund will lend with probability one. Finally, if  $\overleftarrow{k} \leq \tilde{k} \leq \overrightarrow{k}$ , for the equilibrium strategies to be consistent with the equilibrium beliefs, the probability of lending ( $\theta(\tilde{k})$ ) should be such that the private gain in reputation from choosing  $L$  instead of  $NL$  is exactly offset by the welfare loss associated to the lending strategy when  $R_1 \neq R^*$ , namely the IMF should be indifferent between  $L$  and  $NL$ .



**Proposition 7** *Given the IMF reputational lending rule,  $\widehat{R}_1^R$  is the value of  $R_1$  which maximises the government's expected profits over the two periods. We have that  $\widehat{R}_1^R < \widehat{R}_1^{SO}$ .*

**Proof.** Since in equilibrium the IMF will stop lending less often than it would be recommended by a socially optimal lending rule, this result is proved by applying Proposition 4 ■

The threat of future termination of an IMF programme is meant to be the main factor which may contrast the government's adverse incentives towards reforming. However, we have shown that if the IMF cares about its reputation as a good monitor, the existence of uncertainty about its ability to enforce conditionality can distort its lending policy towards a too lax behaviour. This in turn implies larger departures from  $R^*$ , in the first period, with respect to the level of reforms implemented under the socially optimal lending rule. Moreover, the more lax the lending policy, the higher the probability of financing an adjustment option with a negative NPV in the second period, since the level of second period reforms chosen by the government is an increasing function of a country's capital.<sup>28</sup>

## 5 Discussion

The crucial idea of the paper rests on the fact that since the IMF is not only a lender but also a monitor of the adjustment process followed by a borrowing country, it is, at least to some extent, involved in the success of a conditional lending programme. In other words, the failure of the adjustment programme could be attributed in part to the lack of political will of the government and in part to the IMF inability to put the country back on track by adequately sanctioning noncompliance. In a context of asymmetric information, where the Fund has an informational advantage respect to global taxpayers, coupled with the existence of incomplete information regarding the IMF's type, the Fund might have the incentive to use its informational advantage to defend its reputation as a monitor.<sup>29</sup>

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<sup>28</sup>Under the reputational lending rule, the condition that should be satisfied, for the threat of interrupting the programme at  $t=1/2$  to be credible, is the following:

$$\lambda_1 \gamma_{1/2} + \lambda_2 \left\{ p_1(\widehat{R}_1^R) X_1 - I_1 \right\} + E(Z(\widehat{R}_1^R)) < \lambda_1 \left\{ \gamma_{1/2} + \gamma_1 + \delta \gamma_2 \right\}.$$

The left hand side represents the Fund's expected payoff from not interrupting the first agreement, even if the government is not implementing  $R^*$ . While the right hand side represents the Fund's expected payoff from breaking the contract. When the programme is continued, global taxpayers' beliefs, at  $t=1/2$ , are equal to prior beliefs, since they do not receive new information at this stage. On the contrary, when the agreement is interrupted, global taxpayers' beliefs will be positively revised at  $t=1/2$  (i.e.,  $\gamma_{1/2} = \frac{\gamma \rho_g}{\gamma \rho_g + (1-\gamma) \rho_b} > \gamma$ ), since this event is more likely with a good monitor. After  $t=1/2$  global taxpayers' beliefs will remain the same ( $\gamma_{1/2} = \gamma_1 = \gamma_2$ ). Since the agreement is never interrupted in equilibrium, these beliefs are out of equilibrium.

<sup>29</sup>Obviously a full evaluation of the effectiveness of IMF programmes requires considering the extent of compliance with conditions (which might depend on the quality of the IMF as a monitor) but also a consideration of the appropriateness of the policy changes required by the Fund (IMF quality as advisor). In the paper for simplicity we overlook the role of the IMF as an advisor assuming that the required policy changes are always socially optimal.

The robustness of such argument strongly depends on the existence of serious difficulties in the IMF monitoring activity. The circumstance that Fund monitoring may not be adequate is actually confirmed by a report which was published in 2002 by the IMF Independent Evaluation Office (IEO). Such report basically identifies a number of reasons why Fund monitoring may be problematic.

The most relevant issues identified in the IEO report refer to the following aspects. First of all, conditionality on structural policies has often been exceedingly broad, without a clear order of priority among conditions with the result that the most critical problems often remained unaddressed. Second, the Fund monitoring activity can be complicated by flaws in programme design (due for example to overoptimistic predictions of real GDP growth and/or the rate of inflation) (Mussa and Savastano, 1999). Then, the report stresses that Fund officials often did not properly analyse the key risks to a programme and especially did not specify the policy changes coping with those risks (Goldsbrough et. al. 2002).

Finally, the report tackles the issue of political pressures. Specifically, political considerations are found to have often influenced the decision to continue a programme. Although it is not difficult to understand that political considerations are bound to influence the choices of an institution whose shareholders are governments, too often have they been disguised as technical decisions, taken out of political convenience. The mixing up of technical evaluations and political considerations has therefore contributed to weaken the IMF accountability and to increase the uncertainty over its quality as a monitor. We believe that the cases of Argentina and Russia provide some evidence on all these issues.

The IMF has been deeply involved with Argentina for many years before the emergence of the crisis in 2001. Throughout the 1990s, Argentina operated under the close scrutiny of a Fund supported programme, thus the Argentina default in December 2001 had heavy consequences for the Fund's reputation. The explosive growth of the Argentina foreign debt reflected the combination of low private saving rates and substantial deficits in the budgets of the central and provincial governments. Despite Argentina's failure to implement the required policy changes, especially the changes in the level of provincial spending, the IMF continued to lend.

Thus, any failures of the Fund in the pre-crisis period were those of its relatively low-intensity surveillance activities. On this respect, Feldstein (2002) observes that the Fund encouraged Argentina to postpone dealing with its most critical problems, not adequately punishing and warning it of the mistakes of its policies and Mussa (2002) clearly reports that in view of the Fund deep and continuing involvement with Argentina's economic policies and the confidence in those policies that the Fund so often expressed, the Fund should be, at least partially, blamed for the mistakes made by Argentina.

In the case of Russia we find some further evidence of a too lax Fund lending policy. On July 1998, the IMF decided to lend Russia \$22.5 billion in the attempt to avoid default (which eventually was not avoided). By that time, Russia had received, since becoming a member of the IMF in 1992, four IMF loans and Stand-By Arrangements totaling \$18.83 billion. Each loan arrangements included as requirements that the Russian government put in place policies directed to solve fiscal and budgetary problems, in particular Russia's government was required to get the oil companies to

pay taxes. The failure of the government to meet such requirements did not prevent the IMF from continuing to finance Russia, failing in this way to operate the due diligence procedures.

There is no doubt that the laxity of the IMF lending policy was heavily motivated by USA political pressures (see Stiglitz, 2002). However, the problem is that the refinancing decisions have often been supported by technical judgements.<sup>30</sup> In particular, political pressures have probably induced the IMF to systematically overestimate the growth rate of Russia's GDP, each year since 1994, and underestimate corrective inflation after liberalisation of prices in January 1992 (Nikolic, 2002). In other words, there is evidence that Fund officials conducted an inadequate risk assessment concerning their loan beneficiary and this circumstance made particularly difficult to understand in which measure the failure to reach some of the required targets was due to flaws in programme design or to policy slippages. This is, thus, an example of how the mixing up of technical judgements and political considerations contributes to increase the uncertainty over the IMF monitoring activity.

## 6 Empirical model

The main result of the theoretical model implies that the desire to avoid a loss of reputation might lead the IMF to exhibit some laxity (relative to social optimum) in interrupting financial programmes. Moreover, the theoretical model suggests that the longer the IMF has been involved with a country's reforms, the more its reputation as a good monitor could be damaged if it suddenly decides to stop lending (i.e., the more "biting" its reputational concern would be).

More specifically, we argue that an early interruption of a Fund programme is more likely to be decided at the very beginning of the relationship between the Fund and a country, rather than after a few years. This circumstance is actually confirmed by the evidence presented by Mussa and Savastano (1999), who find that the greatest proportion of the cancelled programmes is found at the very beginning of the relationship between the Fund and the country (specifically before the disbursement of less than a quarter of the initially agreed support) and then it declines with the disbursements.

Therefore, we empirically test the hypothesis that the longer this relationship, the more willing to lend the IMF would be. We measure the length of such relationship by building a variable where we progressively number the years spent consecutively by a country under a Fund agreement. When the IMF programme spell is interrupted such variable goes to zero and, as soon as a new programme begins (after an interval of at least one year), we start counting again. We expect to find a positive correlation between the IMF disbursements and the number of years spent by a country under a Fund programme.

The rationale behind this choice rests on the fact that each spell interruption can be the result of two alternative events: either the graduation of the country from the

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<sup>30</sup>In a press release, dated 20th July 1998, Stanley Fischer declared that the enhanced policy package represented a strong and appropriate response to overcome Russian difficulties at that time. A month later Russian government defaulted on its debt.

IMF, or the IMF decision to interrupt its disbursements because the welfare losses are higher than the losses in reputation. In both cases, when a new programme starts, we argue that the IMF behaviour would not be affected by the past since, in the worst event, global taxpayers have already updated their beliefs. We believe that an interruption of at least one year is sufficient to induce global taxpayers to revise their prior beliefs about the IMF ability.<sup>31</sup> In fact, according to Mussa and Savastano (1999), in more than half of the episodes of early interruptions, subsequent arrangements are approved up to one month following the cancellation of prior ones. Such short interruptions indicate that, following deviations from performances clauses, the borrowing country and the IMF were able to rapidly agree on a revised programme and that the “new” agreement should actually be interpreted as a revision of the old one. Thus, if a Fund programme begins after an interval of at least one year from a previous cancellation, then it may definitely be considered as a “new” programme.

We will examine the behaviour of IMF disbursements for the period 1982-2001. The reason we focus on this period is that the debt crisis of the early 1980s arguably marked a shift in regime. Data on loans are from Global Development Finance (GDF) and World Development Indicator statistics of the World Bank. We confine our attention to long-term loans, since the GDF database does not provide any information on the type of creditor in the case of short-term loans. However, long-term loans are fairly representative of the aggregate behaviour, since short-term loans have been a small share of total loans for the period under investigation.

We estimate a dynamic panel of 53 middle-income countries for the period 1982 to 2001 including both country-specific and time effects.<sup>32</sup> Data availability has also limited the sample group to 53 middle-income countries. Among IMF programmes we consider Stand-By Arrangements (SBA), Extended Fund Facility (EFF), Structural Adjustment Facilities (SAF) and Enhanced Structural Adjustment Facilities (ESAF) (renamed Poverty Reduction and Growth Facility (PRGF) since 1999). However, since our sample is limited to middle-income economies, the most common programmes are Stand-By Arrangements and Extended Fund Facility loans.

We have chosen a dynamic specification (i.e., we include a lag of the dependent variable among the regressors) to account for the short run dynamics of IMF disbursements. The estimated equation for IMF disbursements is then the following:

$$D_{i,t} = b_0 + b_1 D_{i,t-1} + b_2 D_{i,t-1}^j + b_3 B_{i,t-1}^j + b_4 Z_{i,t-1} + b_5 Y_{i,t} + b_6 C_i + b_7 T_t. \quad (16)$$

$D_{i,t}$  denotes IMF disbursements (relative to GDP) to country  $i$  and  $D_{i,t-1}^j$  denotes lagged long-term disbursements (relative to GDP) to country  $i$  from creditor  $j$  (i.e., bilaterals, multilaterals, excluding the Fund, and private creditors, as distinguished between commercial banks and private bondholders).  $B_{i,t-1}^j$  denotes lagged stock of long-term debt (relative to GDP) held by the different  $j$  types of creditors.

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<sup>31</sup>However, to check the robustness of our results, we have also tried to use a “looser” criterion, according to which a new programme can be interpreted also as a new relationship only if it begins after an interruption of at least two years. The coefficient of such a variable is still positive and significant, even if its level of significance is lower (at the 10% level).

<sup>32</sup>The World Bank divides economies among income groups according to their gross national income (GNI) per capita. To be classified as middle income a country should have an annual GNI per capita included in the range between \$826 and \$10,065.

To control for countries characteristics, we include the set of variables  $Z_{i,t-1}$  as explanatory variables while  $Y_{i,t}$  represents the cumulative years spent by a country under each Fund programme. The countries dummies  $C_i$  are used to control for country specific characteristics and, finally,  $T_t$  is a set of time dummies which should capture the contemporaneous correlations across countries.

Equation 16 can be interpreted as a reduced form derived from both the “demand” for an IMF programme by a recipient country and the IMF “supply” (see Knight and Santaella (1997)).

The set of variables  $Z_{t-1}$  has been chosen among those suggested by the literature on the determinants of IMF loans. Therefore,  $Z_{t-1}$  includes (previous year) economic performance as measured with the per capita income, the rate of inflation, GDP growth, the amount of international reserves (to imports), the current account balance (to GDP), the domestic (fixed) investments (to GDP), the growth of government consumption (to GDP), total debt service (to exports). These variables should control for the demand side of IMF loans.

Among the “supply side variables” we include population among the regressors, as larger countries may be more important for the world economy and thus get more easily support (under the so called “too big to fail” hypothesis). To examine the relation between IMF disbursements and a country’s degree of indebtedness, we consider the debt owed to bilateral, multilateral and private creditors, and enter the four types of debt separately. That is a high level of indebtedness could explain greater IMF disbursements as they may be motivated by an IMF concern for financial stability and thus by its desire to prevent a default.

Moreover, we distinguished among creditors in order to find out whether some creditors were more “active” than others in pressing the IMF to lend to countries which are highly exposed to them or to their banks. As in Copelovitch (2004) and Dreher (2004), IMF lending decisions are supposed to be responsive to the interests of large industrial countries. We also expect that the countries dummies capture some other strategic motivations for IMF loans, which have been examined in the literature, as special interests or share of IMF quotas (e.g., Barro and Lee, 2003; Ivanova et al., 2003). Ideally, we would also employ a country’s quota in the Fund, determining its voting power. However, given that our analysis includes country dummies, and quotas did not change over the period of study, we cannot use it.<sup>33</sup>

Very recently a so called “defensive lending” hypothesis has also been investigated. According to such hypothesis the IMF would repeatedly extend new loans to borrowers with repayment difficulties to ensure that existing debt is serviced on schedule (i.e., not to report an economic loss in its balance sheets). Thus, in order to control for such motivation of the IMF lending behaviour we include among our regressors the countries’ shares in the IMF loan portfolio. In case of defensive lending we then would expect that the countries accounting for a larger share of the Fund portfolio should obtain greater disbursements.

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<sup>33</sup>The recent work in Dreher, Sturm and Vreeland (2006) suggests an additional proxy for US and other major Fund members’ interests. They show that non-permanent members of the United Nations Security Council are more likely to receive IMF programmes and fewer conditions under these programmes. However, according to Sturm et al. (2005), such political factors seem more closely related to the conclusion of an agreement with the IMF than to the disbursement of a loan.

Finally, to control for policy reform effort, we use the World Bank’s Country Policy and Institutional Assessment (CPIA) index, which gives an explicit measure of the quality of the policy and institutional environment in each country.<sup>34</sup> Such index is calculated annually by World Bank country specialists and it has 20 components (each with a 5% weight in the overall rating) measuring macroeconomic, structural, social and public sector institutions and policies on a scale of 1 to 6 (low through high). The IMF should generally prefer lending to countries having a better policy environment.

Tables 2 and 3 contain all the details on our variable definitions and sources.

## 6.1 The estimation method

We adopt a GLS fixed effect estimator in order to control for countries unobservables and to correct for heteroskedasticity across countries. To account for the short run dynamics of IMF loans we include a lag of the dependent variable among the regressors. The dynamic specification allows for a correct estimation of the effect of high levels of debt by controlling for the autocorrelation of the IMF disbursements. Indeed, in the static specification, a strong dependence of the IMF disbursements from the IMF debt share might actually reflect the autocorrelation of the disbursements, which are typically disbursed in a number of installments over time.

In a typical panel, which has vastly more individuals than time periods, the inclusion of the lagged dependent variable would introduce a bias since the dependent variable, and thus the lagged dependent variable (a right hand regressor), are functions of the individual specific component of the error term. Nickell (1981) shows that in the AR(1) case the bias in estimating a dynamic fixed effects model becomes less important as  $T$  grows. Judson and Owen (1999) test the performance of the least squares fixed effects estimator by means of Monte Carlo simulations, concentrating on panels with typical macroeconomic dimensions (like ours), i.e. small  $N$  and  $T$ . Their analysis suggest that the fixed effects estimator performs fairly well when  $T > 20$ , i.e. with a  $T$  dimension similar to ours.

The fixed effects assumes homoskedasticity and if the assumption is not met then the estimates will be inefficient. A groupwise likelihood ratio heteroskedasticity test was performed on the residuals of the baseline model estimated by OLS. The test is chi-squared distributed with  $N - 1$  degrees of freedom, where  $N$  is the number of groups in the sample. The result of the test led to a rejection of the null hypothesis of homoskedasticity across groups for both net loans and grants regressions.

Baltagi and Li (1995) suggest an LM test for serial correlation in fixed effects models where the asymptotic distributions of the test statistics is calculated for large  $T$ . Under the alternative assumption for the error autocorrelation structure, i.e. an AR(1), the null hypothesis of no serial correlation in the disturbance is not rejected at conventional levels. Thus, we did not correct for the autocorrelations in the residuals and to adopt a feasible fixed effect GLS estimator, incorporating only heteroskedasticity across countries.

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<sup>34</sup>We thank a referee for suggesting to control for policy reform effort.

## 7 Estimation results

We estimate our panel of 53 countries for the period 1982-2001 by GLS, including both country-specific and time effects. The hypotheses of not significance of country dummies and time dummies were indeed rejected at any reasonable significance level, as Table 4 shows. The results of the estimation of equation (1) are also presented in Table 4.

As expected, IMF loans are rather persistent. The estimated regression shows that IMF disbursements are not significantly related to previous-year disbursements from any other group of creditors: only the lagged dependent variable is strongly significant (at the 1% level).

Interestingly, and consistently with other results in this literature, economic performance does appear to influence IMF lending. Column 1 shows that a lower GDP growth, lower international reserves, higher current account deficits and smaller investments all have a positive effect on IMF lending (i.e., a worse economic performance increase the demand of IMF loans) and these effects are significant at the 5% level (with the only exception of the coefficient of the current account which is significant only at the 10%). The coefficient of population is also significant at the 10% level, suggesting that bigger countries do receive greater disbursements. By contrast, per capita GDP and the rate of inflation do not significantly affect IMF loans, and the growth rate of government consumption negatively affects the probability of an agreement with the IMF (though not at conventional levels of significance). A heavy debt service burden (relative to exports) increases countries' need for external finance and thus their demand for IMF loans, where this effect is highly significant (at the 1%).<sup>35</sup>

The coefficient of the CPIA index does not significantly explain the allocation of new IMF loans. This result is, in principle, quite surprising as it implies that a country's reform effort does not influence disbursements which are supposed to be granted precisely according to such effort. However, this result is indeed consistent with our theory which suggests the existence of distortions in the IMF lending policy.

Only the coefficient of the share of debt held by commercial banks is highly significant (at the 1% level). Indeed, IMF disbursements significantly increase with the lagged value of the share of debt held by commercial banks, while the impact of bilateral and multilateral debt and of the debt share held by private bondholders is not significant. This suggests that IMF lending decisions are responsive to the interests of large industrial countries.

Finally, while the coefficient of the countries' shares in the IMF loan portfolio does not significantly explain the allocation of new IMF loans, the coefficient of the variable representing the cumulative number of years spent by a country under a Fund programme is positive and highly significant (at 1%). This relation between IMF new loans and the number of years cumulatively spent under each programme suggests that the length of the relationship with the Fund appears to be an important determinant of new disbursements, while the hypothesis of "defensive lending", as it is commonly interpreted, is not supported by the data.

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<sup>35</sup>If interpreted as a supply side type of variable, it could also imply that the IMF is more willing to give new loans if a country is used to service its debt.

Our results then show that, after controlling for many plausible motivations for the persistence of Fund lending, duration "per se" significantly explains new loans. Therefore, persistence in the Fund lending policy needs to be explained considering additional motivations. We believe that the link between concern for reputation and the length of the relationship between the Fund and the country, demonstrated in our theoretical model, provides a credible explanation for persistence.

## 8 Conclusions

IMF conditionality specifies policies and structural reforms which borrowing countries must meet in order to obtain an IMF loan. In principle, the Fund can enable governments to implement economic reforms as a result of the leverage it exerts as a creditor. In practice, the effectiveness of the conditional lending approach has been limited and numerous empirical studies have shown that long-term financial assistance has often come with an increasing debt burden but only with modest reforms.

This unsatisfactory record of conditional lending has been explained referring to both demand side and supply side factors. Among the latter (i.e., sources of inefficiency within the IMF), the literature has pointed out how the existence of bureaucratic and political biases and "defensive lending" practices might be responsible for the lack of credibility characterising the IMF threat of interrupting financial assistance when a country is not complying with conditionality.

In this paper we also argue that the lack of credibility of the termination threat may be one possible explanation of conditional lending failure. However, we suggest that such lack of credibility might be attributed to a concern for reputation of the Fund, which acts at the same time as a creditor and as a monitor of reforms.

The IMF desire to hide its surveillance failures, in order to preserve its reputation of being a good monitor, may actually distort its lending decisions towards greater laxity (relative to social optimum) in punishing non-compliance with economic reforms. Moreover, such distortionary incentives (towards excessive lending) may be exacerbated by the length of its relationship with a borrowing country. In fact, the longer this relationship, the more informative (for the quality of the IMF monitoring) the decision to interrupt a programme would be, since this outcome will have been influenced by many past Fund monitoring actions

Estimating a dynamic panel of 53 middle-income countries for the period 1982-2001, we have empirically investigated whether the duration of the relationship between the country and the Fund (measured by the cumulated number of years spent by a country under a programme) played an important role in explaining the allocation of IMF disbursements, while controlling for countries' characteristics and their economic performance and for strategic motivations in Fund lending. Our empirical results show that a longer relationship significantly increases IMF disbursements which is consistent with the main prediction of the theory.

In order to eliminate distortions in the Fund lending policy, an immediate policy implication of our analysis would be that of separating its responsibility as a lender from that as a monitor. For example, the IMF could be responsible for designing appropriate policy conditions, monitoring and reporting, while, based on such reports,



financial support could be decided by a separated intergovernmental body. However, for this solution to be effective, it is crucial that these two bodies share the same set of information.

An alternative proposal would envisage giving back to governments the responsibility for designing and implementing economic reforms. The surveillance function should be limited to the periodical evaluation of the attainment of objectives, rather than to the implementation of particular policy measures (on this see Collier et al., 1997). In other words, substituting “procedures conditionality” with “target conditionality”, the IMF would be less involved in managing reforms at a micro level and, in turn, it would be less responsible for observed disappointing results in the recipient countries.

## Appendix

**Proof.** of Proposition 7

Let's start from the second stage. Let's suppose that  $-I_1 \leq \tilde{k} \leq \overleftarrow{k}$  and that, at  $t=1$ , lending (L) has been observed. Applying Bayes' rule, we obtain:

$$\gamma_2(L, -I_1 \leq \tilde{k} \leq \overleftarrow{k}) = \frac{\gamma\rho_g}{\gamma\rho_g + (1-\gamma)\rho_b}.$$

Then, the IMF private gain from reputation would be equal to:  $\gamma_1(L) + \delta\gamma_2(L, -I_1 \leq \tilde{k} \leq \overleftarrow{k})$ , where:

$$\gamma_1(L) = \text{prob}(g | L) = \frac{\gamma\text{prob}(L | g)}{\gamma\text{prob}(L | g) + (1-\gamma)\text{prob}(L | b)},$$

and:

$$\text{prob}(L | g) = \rho_g + (1-\rho_g) \int_{\tilde{k}}^{X_1 + \bar{y} - I_1} \theta(\tilde{k})h(\tilde{k} | R_1 = \widehat{R}_1^R) d\tilde{k},$$

and:

$$\text{prob}(L | b) = \rho_b + (1-\rho_b) \int_{\tilde{k}}^{X_1 + \bar{y} - I_1} \theta(\tilde{k})h(\tilde{k} | R_1 = \widehat{R}_1^R) d\tilde{k}.$$

Alternatively, if  $-I_1 \leq \tilde{k} \leq \overleftarrow{k}$  and at  $t=1$  not lending (NL) has been observed, the IMF private gain from reputation would be equal to:  $\gamma_1(NL) + \delta\gamma_1(NL)$ , where:

$$\gamma_1(NL) = \text{prob}(g | NL) = \frac{\gamma(1-\rho_g)}{\gamma(1-\rho_g) + (1-\gamma)(1-\rho_b)}.$$

Therefore, if the IMF chooses to continue lending, irrespective of  $\tilde{k}$  being too small, its private gain in reputation with respect to the alternative strategy would be:

$$G_{\max} = \gamma_1(L) + \delta\gamma_2(L, -I_1 \leq \tilde{k} \leq \overleftarrow{k}) - (\gamma_1(NL) + \delta\gamma_1(NL)), \quad (\text{A-1})$$

which can be easily shown to be positive.

Now let:

$$WL(\tilde{k}) = I_2 - p_2(R_1, \widehat{R}_2(\tilde{k}))X_2$$

be the welfare loss of the second period project. Notice that WL is continuously decreasing with  $\tilde{k}$  (see Proposition 1) and that  $WL(\cdot)=0$  when  $\tilde{k} = \overleftarrow{k}$ . We also assume that the maximum value of  $\lambda_2 WL(\tilde{k})$  ( $\lambda_2 WL(\tilde{k} = -I_1)$ ) is greater than  $\lambda_1 G_{\max}$ .

In order to have equilibrium strategies consistent with the equilibrium beliefs, the following inequality must hold:

$$\lambda_2 WL(\tilde{k}) \geq \lambda_1 G_{\max}, \quad \text{for } -I_1 \leq \tilde{k} \leq \overleftarrow{k}.$$

Then, let  $\overleftarrow{k}$  be such that

$$\lambda_2 WL(\overleftarrow{k}) = \lambda_1 G_{\max}.$$

Therefore, when  $-I_1 \leq \tilde{k} \leq \overleftarrow{k}$ , the IMF has no incentive to deviate from the equilibrium strategy NL.

Let's now suppose that  $\overleftarrow{k} < \tilde{k} \leq \overline{k}$  and that at  $t=1$  lending ( $L$ ) has been observed. Noting that, when  $\tilde{k} < \overline{k}$ , the first period project has surely failed ( $\tilde{k} = \tilde{k}^f$ ), applying Bayes' rule, we obtain:

$$\gamma_2(L, \overleftarrow{k} < \tilde{k} \leq \overline{k}) = \frac{\gamma(\rho_g(1 - p_1(R^*)) + (1 - \rho_g)\theta(\tilde{k})(1 - p_1(\widehat{R}_1^R))}{\gamma(\rho_g(1 - p_1(R^*)) + (1 - \rho_g)\theta(\tilde{k})(1 - p_1(\widehat{R}_1^R)) + (1 - \gamma)(\rho_b(1 - p_1(R^*)) + (1 - \rho_b)\theta(\tilde{k})(1 - p_1(\widehat{R}_1^R))}, \quad (\text{A-2})$$

from which it is easy to show that (A-2) reaches its maximum value when  $\theta(\overleftarrow{k}) = 0$  and its minimum value when  $\theta(\overrightarrow{k}) = 1$ , and that:

$$\frac{\partial \gamma_2(L, \overleftarrow{k} < \tilde{k} \leq \overline{k})}{\partial \tilde{k}} < 0.$$

Moreover:

$$\lim_{\tilde{k} \rightarrow \overleftarrow{k}} \gamma_2(L, \tilde{k}) = \frac{\gamma \rho_g}{\gamma \rho_g + (1 - \gamma) \rho_b},$$

and:

$$\gamma_2(L, \overleftarrow{k} < \tilde{k} \leq \overline{k}) = \frac{\gamma(\rho_g(1 - p_1(R^*)) + (1 - \rho_g)(1 - p_1(\widehat{R}_1^R))}{\gamma(\rho_g(1 - p_1(R^*)) + (1 - \rho_g)(1 - p_1(\widehat{R}_1^R)) + (1 - \gamma)(\rho_b(1 - p_1(R^*)) + (1 - \rho_b)(1 - p_1(\widehat{R}_1^R))}. \quad (\text{A-3})$$

Therefore, if the IMF chooses to continue lending, when  $\overleftarrow{k} < \tilde{k} \leq \overline{k}$ , its private gain in reputation with respect to the alternative strategy would be:

$$G(\theta(\tilde{k})) = \gamma_1(L) + \delta \gamma_2(L, \overleftarrow{k} < \tilde{k} \leq \overline{k}) - (\gamma_1(NL) + \delta \gamma_1(NL)), \quad (\text{A-4})$$

where:

$$\frac{\partial G(\theta(\tilde{k}))}{\partial \tilde{k}} < 0, \quad \lim_{\tilde{k} \rightarrow \overleftarrow{k}} G(\theta(\tilde{k})) = G_{\max} \text{ and } G(\theta(\tilde{k})) \big|_{\overrightarrow{k} \leq \tilde{k} \leq \overline{k}} = G_{\min},$$

Since the probability to continue lending is increasing with  $\tilde{k}$ , the signal becomes less informative as capital grows. Notice that  $G_{\min}$  is found substituting (A-3) into (A-4) and  $G_{\max}$  was defined in A-1.

For the equilibrium strategies to be consistent with the equilibrium beliefs, the probability to continue lending is found implicitly, solving for  $\theta(\tilde{k})$  :

$$\lambda_1 G(\theta(\tilde{k})) = \lambda_2 WL(\tilde{k}), \quad (\text{A-5})$$

so that, when  $\overleftarrow{k} \leq \tilde{k} \leq \overrightarrow{k}$ , the payoff associated to the strategy NL is the same as the payoff associated to the strategy L. Notice that  $\overrightarrow{k}$  is found by solving (A-5) for  $\tilde{k}$ , when the probability of continuing lending is 1. Since  $WL(\tilde{k} = \overline{k}) = 0$  and  $G_{\min} > 0$ , it is immediate to verify that  $\overrightarrow{k} < \overline{k}$ .

Finally, as  $G(\tilde{k}) = G_{\min} > 0$ , when  $\overrightarrow{k} \leq \tilde{k} \leq \overline{k}$ , it follows that  $\lambda_1 G_{\min} \geq \lambda_2 WL(\tilde{k})$ . Thus, in this interval, the IMF will lend with probability one even if the social surplus is negative. ■

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**Table 1: List of middle income countries in the sample**

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1) Algeria	28) Malaysia
2) Argentina	29) Mauritius
3) Belize	30) Mexico
4) Bolivia	31) Morocco
5) Botswana	32) Oman
6) Brazil	33) Panama
7) Cape Verde	34) Paraguay
8) Chile	35) Peru
9) China	36) Philippines
10) Colombia	37) Poland
11) Costa Rica	38) Romania
12) Dominica	39) Seychelles
13) Dominican Republic	40) Sri Lanka
14) Ecuador	41) St. Kitts and Nevis
15) Egypt, Arab Rep.	42) St. Lucia
16) El Salvador	43) St. Vincent and the Grenadines
17) Fiji	44) Swaziland
18) Gabon	45) Syrian Arab Republic
19) Grenada	46) Thailand
20) Guatemala	47) Tonga
21) Guyana	48) Trinidad and Tobago
22) Honduras	49) Tunisia
23) Hungary	50) Turkey
24) Indonesia	51) Uruguay
25) Iran, Islamic Rep.	52) Vanuatu
26) Jamaica	53) Venezuela, RB
27) Jordan	

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Source: World Bank

**Table 2: Variables definition**

<b>Variable</b>	<b>Definition</b>	<b>Units</b>
Population	Population	Billions
Pc-GDP	Gross Domestic Product	Ratio to Population (thousands)
Inflation	Consumer Price Index	Annual Rate of change
Gr-GDP	Real GDP growth	Annual Rate of change
Reserves	International reserves	Ratio to Imports
Current Account	Current Account	Ratio to GDP
Investments	Gross fixed domestic investments	Ratio to GDP
Gr-Government Consumption	Gov Consumption growth	Annual Rate of change
CPIA	Index of policy and institutional assessment	Index variable, rating scale 1 (low) through 6 (high)
Total debt service	Total debt service	Ratio to Exports
IMF Disbursements	IMF Disbursements	Ratio to GDP
Multilateral Disbursements	Bilateral Grants	Ratio to GDP
Bilateral Disbursement	Multilateral Disbursements	Ratio to GDP
Bank Disbursements	Bank Disbursements	Ratio to GDP
Bonds Disbursements	Bonds Disbursements	Ratio to GDP
IMF loan share	IMF credit outstanding	Ratio to total IMF credit outstanding in each year
Multilateral Debt	Long term Mul Debt	Ratio to GDP
Bilateral Debt	Long term Bilateral Debt	Ratio to GDP
Bank Debt	Long term Bank Debt	Ratio to GDP
Bonds Debt	Long term Bonds Debt	Ratio to GDP
Cumulative Years	Cumulative years spent under each programme	Sequence of years



**Table 3: Data source**

<b>Variable</b>	<b>Source</b>
Population	International Financial Statistics (IFS)
Pc-GDP	World Economic Outlook (WEO)
Inflation	World Economic Outlook (WEO)
Gr-GDP	World Economic Outlook (WEO)
International reserves	Global Development Finance (GDF)
Current Account	Global Development Finance (GDF)
Investments	World Development Indicators (WDI)
Gr-Government Consumption	World Development Indicators (WDI)
CPIA	World Bank
Total debt service	Global Development Finance (GDF)
IMF Disbursements	Global Development Finance (GDF)
Multilateral Disbursements	Global Development Finance (GDF)
Bilateral Disbursement	Global Development Finance (GDF)
Bank Disbursements	Global Development Finance (GDF)
Bonds Disbursements	Global Development Finance (GDF)
IMF loan share	IMF Financial Data (IMF)
Multilateral Debt	Global Development Finance (GDF)
Bilateral Debt	Global Development Finance (GDF)
Bank Debt	Global Development Finance (GDF)
Bonds Debt	Global Development Finance (GDF)
Cumulative years	International Financial Statistics (IFS)

**Table 4 IMF Debt Disbursements**

	<b>IMF Dis</b>
Population	0.0156* (1.654)
Pc-GDP (-1)	0.0002 (1.031)
Inflation (-1)	0.0001 (1.331)
Gr-GDP (-1)	-0.0092** (2.308)
Reserves (-1)	-0.0021** (2.453)
Current Account (-1)	-0.0051* (1.807)
Investment (-1)	-0.0085** (2.467)
Gr-Gov Consumption (-1)	-0.0010 (1.160)
CPIA (-1)	0.0001 (0.473)
Total Debt Service (-1)	0.0033*** (2.583)
Debt Share M (-1)	-0.0024 (0.621)
IMF loan share (-1)	-0.0056 (0.484)
Debt Share B (-1)	0.0025 (0.883)
Debt Share Banks (-1)	0.0079*** (2.708)
Debt Share Bonds (-1)	0.0013 (0.244)
Disbursements M (-1)	0.0038 (0.244)
Disbursements IMF (-1)	0.0831*** (2.868)
Disbursements B (-1)	0.0131 (1.017)
Disbursements Banks (-1)	-0.0056 (0.555)
Disbursements Bonds (-1)	-0.0237 (1.142)
Cumulative years under each programme	0.0003*** (3.175)
Constant	0.0045** (2.251)
Observations	1004
Number of panelid	53
Number of years	20
SE of regression	0.0117
SE of dependent variable	0.0131
CD joint significance test	Prob>chi2=0.0045
TD joint significance test	Prob>chi2=0.0030

Absolute value of z statistics in parentheses \* significant at 10%; \*\* significant at 5%; \*\*\* significant at 1%

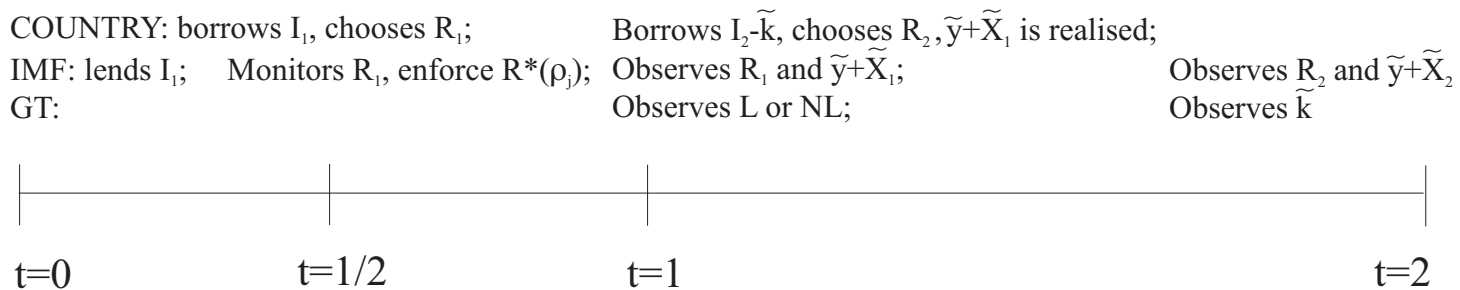


Figure 1

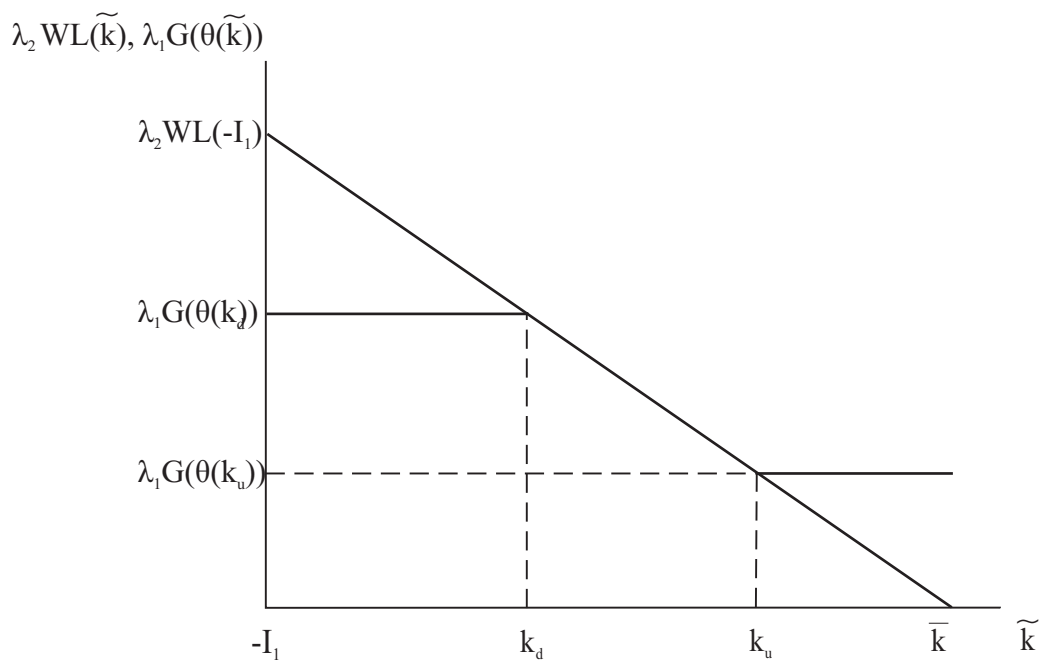


Figure 2