

## **Contribution of Agriculture to the Economy of Limpopo Province**

By

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# **Contribution of Agriculture to the Economy of Limpopo Province**

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## **Abstract**

Introduction: In this study, an input output table was developed which was used to examine the empirical evidence on the strength of agricultural growth multipliers, in the facets of income, output and employment.

Of the nine production group studied, agriculture contributed directly and indirectly to the Limpopo Province economy in term of output (1.3481), income (0.0327) and employment (0.0524) multipliers and was ranked ninth in the former two and eighth in the latter. While trade services was ranked first in all three sets multipliers

From the study, it was concluded that to reduce poverty, investment should be in the trade services sector as it gives more returns to money.

## **1. Introduction**

A dynamic agricultural sector in developing countries is crucial for overall national development, poverty reduction and food security (**Orden et al, 2004**).

Limpopo Province, one of South African's nine provinces is predominantly rural consisting of about 89 per cent of the total population with the main occupation of the people being agriculture. The province constitutes 18% of the 40% (about 16 million) people of South African living in outright poverty or continuing vulnerability to being poor (Nesamvuni et. al., 2003). From this it is apparent that for any effective development strategy, more focused and thorough efforts have to be place in rural development in general and agricultural growth in particular, since the rural areas and the agricultural sector goes hand in hand.

However, according to (**Christiaensen and Demery, 2007: 2**) there has been huge debate on the extent of agricultural development in reducing poverty. They stated that although most development practitioners acknowledge that faster economic growth leads to faster poverty reduction, they do not all agree on whether investments and policy reforms in agriculture have a higher payoff in terms of economic growth than investments and reforms in other non-agricultural sectors. The stated that those in favour on the importance of agriculture in poverty reduction argued that poor people stand to benefit much more from an increase in

agricultural incomes than from an increase in non-agricultural incomes, because many of the poor live in rural areas, and most of them earn their living in agriculture or agriculture-related activities. However, others disagree with the agriculture-first strategy, and oppose that it is the non-agriculture sectors that have strong potential to push economic growth in the rural areas and pull the poor out of poverty. Meanwhile, there are others who stand on the fact that both agricultural and non-agricultural sectors have strong potential to become the engine of growth in rural areas and, hence, call for a more balanced growth strategy.

Place in this situation with diverse experts opinions, the policy question is, should investments be directed to improve productivity in the agricultural sector or would it be more effective to invest in the development of the non-agricultural sector directly? This question was answered by **Patro et al. (2005: 1)**, who stated that the amount of investment flowing to an economy normally depends on the rate of return it is likely to generate. Therefore sectoral pattern of investment should depend on the income generating capacity of the different sectors of the economy. A backward economy characterized by capital deficiency has to carry out its investment programme in a careful manner and this requires a detailed understanding of the inter-sectoral dependence in the economy.

The specific objectives of the study are to derive a regional input output table for Limpopo Province and to use the table to calculate the output, income and employment multipliers for the province. It is hoped that the results of this analysis will provide information that will help formulate effective strategy for stimulating economic growth in the Limpopo province, effective in resolving the problem of poverty plaguing the province.

## **2. Methodology**

### **2.1. Study Area**

Limpopo Province is one of South Africa's nine provinces found in the northernmost part of the country. It covers an area of 12.46 million hectares accounting for 10.2 per cent of the total area of South Africa. The provincial population of 5.56 million is divided into five districts of Capricorn, Mopani, Sekhukhune, Vhembe and Waterberg. The population is

predominantly rural consisting of about 89 per cent of the total with the main occupation of the people being agriculture. It has a dual system of about 5000 large-scale commercial farmers who occupied 70 percent of the prime land and 273000 small-scale farmers occupying the remaining 30 percent of the land. Most of these small-scale farmers are in the former homeland majority of who are women (PROVIDE, 2005; Nesamvuni et. al., 2003; LDA, 2006).

## ***2.2. Data Source***

The study was derived from the 2002 supply and used tables produced by StatsSA. Also, data on employment at the national and regional level identical to the nine major divisions were used. Additional socio-economic indicators used include, Mid-year population estimate and Producer Price index. All of above data are produced by StatsSA.

## ***2.3. Description of the input output model and its assumptions***

Input-output analysis is widely used as a quantitative model for national and regional economic analysis. A useful way to study an economy and the interactions between sectors of that economy is through the use of an input-output model. An input-output model provides a detailed view of the economy at a particular point in time.

The input-output model is a double accounting matrix that describes the interrelationship between sectors within the economy and the relationship of these sectors to economic activities outside the economy. Input-output models, enable us to derive sets of multipliers that are disaggregated, recognizing that the total impact on income (output, employment) will vary according to which sector experiences the initial expenditure change. Manipulation of the Input-output table allows the analyst to estimate different types of multiplier depending on whether he is interested in output, income or employment effects (Ruiz-Mercado, 2006: 59).

**Lee and Mokhtarian** (2004) list four basic assumptions of the input-output model which are of course a simplification of a more complex reality:

**Industrial output is homogeneous.** This implies that every good produced by a certain industry has no quality distinction, and is regarded as equal and homogeneous.

**For all industries, returns to scale are constant.** This means that if the output produced by a certain industry were to increase or decrease by x percent, the inputs required by that industry also rise or fall by the same percentage.

**Fixed production-function processes.** This implies that all companies within a certain industry produce goods or services in the same way, i.e., requiring the same proportions of each input.

**The technological nature of the input-output relationships is uniform.** This means that no technological improvement is generated at least during the analysis period.

## **2.4. *Data Manipulation***

In national accounts and economic analysis two kinds of input-output tables are referred to:

- Supply and use tables (SUT),
- Symmetric input-output table (IOT).

The major differences between a SUT and IOT are that SUT has two tables; supply table and use tables. In the SUT product by industry matrices, both industry and commodity classifications are used. The SUT are often referred to as rectangular input-output tables, while the input-output tables are converted from supply and use tables as product by product or industry by industry tables. An IOT rearranges both supply and use information in a single table and either a product or an industry classification is used for both rows and columns.

### **2.4.1. Supply and used tables (SUT)**

**Supply table:** Table 1 below shows a summarised form of the supply table which, shows the origin of the resources of goods and services, depicting products in rows and industries in columns. In the rows, the various types of products are presented according to a product classification. An additional row is added for the adjustment of direct the output of each industry according to an industrial classification, imports, taxes less subsidies on products and trade and transport margins are shown. Furthermore, in the supply table, goods and services produced in the economy are measured at basic prices.

**Use table:** The summarised use table (Table 2) shows the uses of goods and services and supplies information on the cost structures of the various industries. In the rows, the various types of products are presented according to a product classification. Additional rows are added for the adjustment of direct purchases by South African residents abroad and direct purchases in the domestic market by non South Africans residents. The table is divided into three different sections, the intermediate consumption at purchasers', the components of final demand and, an elaborate on the production costs of producers other than intermediate consumption expenditure.

Table 1: General structure of the supply table

Supply of products	Total supply at purchasers' prices	Taxes less subsidies on products	Trade and transport margins	Total supply at basic prices	Industry									Total industry	Imports	c.i.f./ f.o.b. adjustment
					Agricultural products	Mining	Manufacturing	Energy	Construction	Trade services	Transport	Finance	Community			
Agricultural products	Total supply at purchasers' prices (q)	Valuation Items		Total supply at basic prices	Output by Product and by Industry ( $V^T$ )									Total industry	Imports	
Mining																
Manufacturing																
Energy																
Construction																
Trade services																
Transport																
Finance																
Community																
Total supply at purchaser's price																
c.i.f./f.o.b. Adjustment																
Direct purchases abroad by residents																
Total supply at basic price					Total Output by Industry (g)											



Table 2: Structure of the use table

Supply of products	Industry											Final uses								
	Total supply at purchasers' prices	Taxes on products	Subsidies on products	Total supply at basic prices	Agricultural products	Mining	Manufacturing	Energy	Construction	Trade services	Transport	Finance	Community	Total industry	Exports	Government expenditure	General government consumption expenditure	Fixed capital formation	Changes in inventories	Residual
Agricultural products					Intermediate consumption by product and by industry (U)									Final uses by product and by category (Y)						
Mining																				
Manufacturing																				
Energy																				
Construction																				
Trade services																				
Transport																				
Finance																				
Community																				
<b>Total</b>																				
<b>Purchases by residents</b>					Value added by component and by industry (W)									Adjustment items						
Direct purchases abroad by residents																				
<b>Total</b>																				
Compensation of employees	(w)				Total Output by Industry (g)									(y)						
Taxes less subsidies																				
Gross operating surplus / mixed income																				
<b>Total output at basic price</b>																				

### **2.4.2. Symmetric Input-Output Tables:**

This is a derivation of the supply and use table. The intermediate part of a symmetric input-output table (IOT) is *square*: the number of rows is equal to the number of columns. It is simple call the input output table. The dimension can be either product-by-product or industry-by-industry. The square IOT is important for input-output analysis. Compiling input-output tables is an analytical step. For the transformation of supply and use tables into symmetric input-output tables, various assumptions are used and sometimes adjustments are required.

#### **2.4.2.1. Transformation of the Supply and use tables to the symmetric input output table**

There are four basic assumptions for the transformation from supply and use tables into product-by product input-output tables or industry-by-industry input-output tables (Eurostat, 2008).

- Product technology assumption (Model A).
- Industry technology assumption (Mode B).
- Fixed industry sales structure assumption (Model C).
- Fixed product sales structure assumption (Model D).

The first two assumptions are applied to compile product by product input-output tables. The transformation of SU tables to symmetric industry by industry input-output tables is based on assumptions on the sales structure. All inputs in product by product IO tables are allocated to homogenous units. Product by product IO tables is believed to be more homogenous but further away from statistical sources than industry by industry IO tables. Inputs in industry by industry IO tables are allocated to industries. Industry by industry IO tables is less homogenous but closer to statistical sources and actual observations than product by product IO tables. Model A and Model C have negative values after transformation from supply and use tables to input-output tables. To solve negative problems, hybrid technology and Almon's procedure can be used for removing negative values. But, Model B and Model D do not have negative values.

Table 4: Structure of the Symmetric input output table

Supply of products	Homogenous Product									Final uses						
	Agricultural products	Mining	Manufacturing	Energy	Construction	Trade services	Transport	Finance	Community	Total	Exports	Households consumption expenditure	General government consumption expenditure	Fixed capital formation	Changes in inventories	Residual
Agricultural products	Intermediate consumption (S)									Final uses (Y)						(q)
Mining																
Manufacturing																
Energy																
Construction																
Trade services																
Transport																
Finance																
Community																
<b>Total</b>																
Compensation of employees	Value added (E)															
Taxes less subsidies																
Gross operating surplus / mixed income																
<b>Output at basic Price</b>																
Imports	Import															
c.i.f./f.o.b. Adjustment																
<b>Imports</b>																
Trade and transport margins																
Taxes less subsidies																
<b>Total supply at basic price</b>	(q)									(y)						

The transformation of the supply and use tables of the study was transformed into a 94 X 94 input out table using the Industry technology assumption (Mode B). The transformation was brought about by feeding the algebraic formulae below in Matlab software.

$$T = \text{inv}(\text{diag}(g)) * V$$

$$A = U * T * \text{inv}[\text{diag}(q)]$$

$$R = W * T * \text{diag}(q)$$

$$q = \text{inv}(I - A) * y$$

$$S = U * T$$

$$E = W * T$$

$$Y = Y$$

Table 3 General structure of an input-output table showing the four quadrants

	Industry 1	Industry ... j ...	Industry n	Sub Total	House -holds	Govt. Expen- diture	Other Final Demands	Exports	Sub Total	Total Gross Output
Industry 1	Quadrant I $x_{ij}$				Quadrant III					$X_i$
Industry ... i ...										
Industry n										
Sub Total										
Labour Value Added Other Primary Inputs Imports	Quadrant II				Quadrant IV					
Sub Total										
Total Gross Input	$X_j$									

An input-output table is divided into four quadrants:

**Intermediate demand** Quadrant I represents flows of products, which are both produced and consumed in the process of production of goods. These flows are called inter-industry flows or intermediate demand.

**Final demand** Quadrant II contains data of final demand for the output of each producing industry, i.e. demand of non-industry consumers like households, government or exports.

Final demand is the demand for goods, which are *not* used to produce other goods (as opposed to intermediate demand).

**Primary inputs to industries** These are inputs (e.g. raw materials) to producing industries, which are not produced by any industry like imported raw materials.

**Primary inputs to direct consumption** These are inputs (e.g. imported electricity), which are directly consumed, i.e. they are not used to produce other goods.

#### **2.4.2.2. Regionalization of the input output table**

According to Imansyah (2000: 2), for the regionalization of the I-O tables, three common approaches are used for impact models analysis. The first is the pure survey approach that is costly and therefore rarely used at the regional level. Secondly, pure synthetic or non-survey approaches rely on regional adjustments to the coefficients from a model from a larger political boundary. The third method combines these techniques and has been called a hybrid approach. The approach has grown out of the limitations of non-survey approaches and the prohibitive costs of pure survey approaches. He added that there seems to be general agreement in input-output analysis that the hybrid method is the most feasible method for constructing regional input-output tables. The hybrid method appears to be the most cost-effective and well within the range of acceptable accuracy. This method mixes the advantages of the survey and the non-survey methods for constructing regional input-output tables and avoids the disadvantages. The third method is the approach used in this Study.

A regional Input-output table for 2006 of the Limpopo Province was derived from the form the 2002 supply and use tables produced StatSA using the Generation of Regional Input-output Table (GRIT) Approach.

Using the above approach, the following will be done;

The 94 X 94 national input output table produced in the study was undated using the 2006 Producer price index.

The national table was aggregated into a 9 X 9 table and the regional output was estimated for each industry using the share of full-time employment by industry.

The National table was then transformed into the technical coefficient matrix ( $X_{ij}/X_j$ ) and the self-sufficiency of every industry will be estimate by calculating the simple location quotients

$$(SLQ_j = (X_{rj}/X_r)/(X_{nj}/X_n) \quad (1)$$

Where X = represents employment,

r = region employment,

n = nation employment, and

j = row sector.

The regional coefficients for row sector j are estimated by multiplying the national coefficient by  $SLQ_j$ , and apportioning the difference to imports, that is,  $rij = a_{ij}SLQ_j$  where  $SLQ_j \leq 1$ . This means that the region produces less than its share of national output in industry j and imports are therefore required. If the SLQ for an industry exceeds 1 then the size of the regional industry is greater in relative terms, than its national equivalent and is assumed to be capable of satisfying local demand. The SLQ technique assumes that national and regional technologies are identical, and that there are no product or sector mix problems. The SLQ technique allows national coefficients only to be revised downwards but not upwards.

The coefficients table was converted back to transactions value.

Households consumption were estimated by applying a population index (for example):

$$\text{Population index} = \text{Region Population} / \text{National Population}$$

Estimates of households' consumption for each regional sector were obtained by multiplying the population index by the national output for each sector. Other final demands were calculated as the residual achieving the necessary row and column consistencies.

A four quadrant regional matrix was then be produced, from which type I and II multipliers will be calculated.

## 2.5. Calculation of Transaction Table

The transaction table is the basic and most important table of the input-output system. A table of technical coefficients and interdependency coefficients can be obtained through mathematical manipulation of the transaction table. Output multipliers, income multipliers and employment multipliers can then be determined from these two tables. These multipliers provide criteria for measuring economic activity in a given region.

In order to determine the interdependence coefficients the technical coefficients first must be calculated. Table two can be expressed as follows;

$$X_1 = x_{11} + x_{12} + x_{13} + \dots x_{1n} + Y_1$$

$$X_2 = x_{21} + x_{22} + x_{23} + \dots x_{2n} + Y_2$$

$$X_3 = x_{31} + x_{32} + x_{33} + \dots x_{3n} + Y_3$$

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$$X_n = x_{n1} + x_{n2} + x_{n3} + \dots x_{nn} + Y_n$$

From which the technical coefficient  $a_{ij}$  can be calculated thus;

$$a_{ij} = x_{ij} / X_j \quad (2)$$

Where  $i$  = is the row, and

$j$  = the column

This in matrix form is:

$$A = \begin{pmatrix} a_{11} & a_{12} & \dots & a_{1n} \\ a_{21} & a_{22} & \dots & a_{2n} \\ \vdots & \vdots & \dots & \vdots \\ a_{n1} & a_{n2} & \dots & a_{nn} \end{pmatrix}$$

This can be expressed in matrix equation as;

$$(I - A)X = Y$$

$$X = (I - A)^{-1}Y \quad (3)$$

Where,

A= Transaction matrix

I = unit matrix, and

$(I - A)^{-1}$  is known as the Leontief inverse.

### 3. Result and interpretation

**Table 4: Regional Input output coefficient matrix of the Limpopo Province**

	Agriculture	Mining	Manufacturing	Energy	Construction	Trade	Transport	Finance	Community
Agricultural products	0.0323	0.0001	0.0333	0.0001	0.0005	0.0167	0.0019	0.0021	0.0043
Mining	0.0023	0.0024	0.0524	0.1622	0.0191	0.0259	0.0011	0.0039	0.0092
Manufacturing	0.1355	0.0742	0.1550	0.0658	0.1996	0.3816	0.1365	0.0509	0.0901
Energy	0.0031	0.0096	0.0043	0.0634	0.0020	0.0214	0.0076	0.0025	0.0028
Construction	0.0027	0.0060	0.0000	0.0393	0.1707	0.0603	0.0043	0.0104	0.0053
Trade services	0.0031	0.0029	0.0013	0.0018	0.0021	0.2016	0.0292	0.0122	0.0063
Transport	0.0337	0.0877	0.0113	0.0136	0.0165	0.5256	0.0905	0.0368	0.0274
Finance	0.0095	0.0112	0.0199	0.0253	0.0419	0.5918	0.0576	0.1202	0.0415
Community	0.0146	0.0383	0.0151	0.0016	0.0111	0.0363	0.0137	0.0158	0.0713

The input coefficient matrix is shown in Table 4 above. These coefficients give an idea of what the input structure is for a specific product if production increases with one Rand. Assume that the Agricultural product increases with R1 million. According to the input coefficients the demand for inputs from Agricultural products will increase with R32, 300 (R1 million x 0.0323), inputs from mining products will increase with R2,300 (R1 million x 0.0023), inputs from manufacturing products will increase with R135,500 (R1 million x 0.1355), inputs for energy product will increase with R3,100 (R1 million x 0.0031) and so on.

The input coefficients give valuable information on what the input structure is for a specific industry or product. However, these coefficients will only give an indication of the direct requirements and it will exclude any spillover effects throughout the rest of the economy.



The input coefficient matrix is the building unit of the for the Leontief inverse which form part of the algebraic expression in equation (3).

The main input for constructing the multipliers is Leontief inverse matrix (also known as the interdependence coefficients matrix), which shows how much of each industry's output is required, in terms of direct and indirect requirements, to produce one unit of a given industry's output.

**The output multipliers** are gotten directly from the Leontief inverse Matrix (Table 6). They are simply the column sums of the industry part of an inverse matrix. These columns are the essential ingredients in the other multiplier calculations.

**Table 5 Interdependent Coefficients (Leontief inverse) Matrix**

	Agricultural products	Mining	Manufacturing	Energy	Construction	Trade	Transport	Finance	Community
Agricultural products	1.0401	0.0049	0.0419	0.0048	0.0116	0.0554	0.0109	0.0065	0.01
Mining	0.0135	1.0119	0.0652	0.1823	0.0408	0.0927	0.0167	0.0116	0.0188
Manufacturing	0.1840	0.121	1.2078	0.1264	0.3072	0.8351	0.2194	0.0981	0.1379
Energy	0.0051	0.0123	0.0068	1.0709	0.0052	0.0444	0.0118	0.0048	0.0049
Construction	0.0049	0.0098	0.002	0.0534	1.2082	0.1144	0.0114	0.0168	0.0092
Trade services	0.0067	0.0087	0.0041	0.0058	0.0066	1.3002	0.0439	0.0205	0.0116
Transport	0.0478	0.1073	0.0275	0.0419	0.0376	0.8173	1.1353	0.0624	0.0461
Finance	0.0246	0.0316	0.0346	0.0459	0.0733	0.9601	0.1112	1.159	0.0659
Community	0.0214	0.0464	0.0242	0.0138	0.0234	0.0989	0.0249	0.0238	1.0823

For example in agriculture, the output multiplier is the  $(1.0401 + 0.0135 + 0.1840 + 0.0051 + 0.0049 + 0.0067 + 0.0478 + 0.0246 + 0.0214 = 1.3481)$ . This is the direct and indirect effect of investment in the product. This implies that an injection of one million in agriculture will result in 1.3481 million worth of output in the economy. In other words to increase the production of agriculture products with R1 million, agriculture industry will have to increase their output with R1,0401 (R1 million x 1.0401), mining industry will have to increase their output with R35,000 (R1 million x 0.0135) , manufacturing industry will have to increase their output with R184,000 (R1 million x 0.1840), energy industry will have to increase their

output with R5,100 (R1 million x 0.0051), construction industry will have to increase their output with R4,900 (R1 million x 0.0049), trade industry will have to increase their output with R6,700 (R1 million x 0.0067), Transport industry will have to increase their output with R47,800 (R1 million x 0.0478), Finance industry will have to increase their output with R24,600 (R1 million x 0.0246) and community industry will have to increase their output with R21,400 (R1 million x 0.0214)

If capacity permits, each of these industries must expand its output to accommodate this additional production load. At the same time, each of the other industries is purchasing the additional inputs required to produce the output requested of them. This chain of purchases continues for all industries until the economy is again in equilibrium. Therefore the initial R1million purchase from agriculture has led to money flows throughout the regional economy valued at R 1.3481 million.

The output, income and employment multipliers and their ranking for the various sector are displayed on Table 7.

**Table 6: Output, Income and Employment Type I multiplier of Limpopo Province and their Ranking**

<b>Products</b>	<b>Output multiplier</b>	<b>Output multiplier Ranking</b>	<b>Income multiplier</b>	<b>Income multiplier Ranking</b>	<b>Employment multiplier</b>	<b>Employment multiplier Ranking</b>
Agricultural products	1.3481	9	0.0327	9	0.0524	8
Mining	1.3539	8	0.0448	7	0.0513	9
Manufacturing	1.4141	5	0.0382	8	0.0529	7
Energy	1.5452	4	0.0531	6	0.0694	6
Construction	1.7139	2	0.0573	4	0.0998	3
Trade services	4.3185	1	0.4853	1	1.2616	1
Transport	1.5855	3	0.0780	2	0.1867	2
Finance	1.4035	6	0.0551	5	0.0968	4
Community	1.3867	7	0.0616	3	0.0883	5

**Employment Multipliers;** which is similar to the output multiplier is the ratio of direct plus indirect employment change to the direct employment change. It is calculating by multiplying the employment -output ratio with the Leontief inverse.

For all primary inputs, the following formula is used;

$$v = V (I - A)^{-1}Y \quad (4)$$

Where  $v$  = Primary input

$V$  = Value per unit output

$(I - A)^{-1}$  = Leontief inverse

$F$  = Final demand

The employment multiplier value 0.0542 for agricultural sector in Table 7 implies that if a job is created by increase in demand in agricultural products, 0.0542 additional jobs are created elsewhere in the economy of Limpopo Province.

**Income multiplier;** can be defined broadly as a measure of the total change in income throughout the regional economy resulting from a R1 change in income in a given sector in response to a final demand change in that sector. In its calculation, Income also utilizes the formula above, i.e. equation (4). The vector for income is the row of compensation of labour in the input out table.

On Table 7, trade services according to the ranking was the first in all three categories of output, employment, and income. Transport was second in income and employment but third in output, with construction being second in output, third in employment and fourth in income. On the other hand, agriculture ranked the last (i.e ninth) in output and income and eighth in employment. Also at the bottom ranking, mining ranked ninth employment, eighth in output and seventh in income. This implies that for a more meaningful policy to alleviate poverty, trade services should be targeted as it yields more returns for investment.

#### **4. Conclusion**

An input output table for the regional economy of Limpopo Province was derived from which output, income and employment multiplier were calculated satisfying the two specific objectives for the study. The table was regionalised from the 2002 supply and used table produced by Statistic South Africa using the Product technology assumption (Model A).

From the 9x9 regional input output table produced, the multiplier effect of agriculture was found to be 1.3481 for output, 0.0327 for income and 0.0524 for employment. Among the homogenous group in the study, agriculture ranked ninth in both output and income multiplier and eighth in the employment multiplier category. Trade was found to have the highest multiplier effect in all three variables, output (4.3185), income (0.4853) and employment (1.2616).

Despite the fact that majority of the population of the people of Limpopo province are rural based, and assumed engaged in agriculture, agricultural gives the least return to investment when compare to the other homogenous product as indicated by the output and income multiplier, except for the case of employment multiplier were it was higher than the mining products. Therefore going by Patro et al. (2005: 1), who stated that the amount of investment flowing to an economy should depend on the rate of return it is likely to generate, it is recommended that for development in the Limpopo Province either targeting output, income or employment in reducing poverty, more emphasis should be place in the trade sector as it gives more return on investment in these three variables.

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