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December 2009

Online at <http://mpra.ub.uni-muenchen.de/21750/>
MPRA Paper No. 21750, posted 30. March 2010 / 09:32

The Puzzle of a Unique Instrument in Prominent Emerging Markets of South Asia

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Abstract

A unique instrument has been associated with emerging markets of India and Pakistan. We show that the instrument can be considered a market response to the information gaps in these markets. The instrument may credibly transmit information and may eliminate information gaps. Hence, the birth of the instrument is, perhaps, an example of a creative market response to information problems.

Keywords: Information Asymmetry; Information Transmission; Emerging Markets; Perfect Bayesian Equilibria; Badla Finance

JEL Classification: D82; D00; G10; N20

The Puzzle of a Unique Instrument in Prominent Emerging Markets of South Asia

“[The information gaps] might change some of the performance characteristics, not to mention the institutional structure, of markets in which they appear.”

Michael Spence, *Nobel Lecture (American Economic Review, 2002)*

A unique financing instrument is associated with prominent emerging stock markets of South Asia. In his paper, we show that the instrument can be considered an institutional response to the information gaps existing in these emerging equity markets. The instrument serves to eliminate information gaps. In this sense, the instrument provides one example of how information gaps change the institutional structure of markets in which they appear.

Ever since Akerlof (1970), it has been argued that information flows are necessary for markets to function properly in a world of asymmetric information. If buyer and seller have different information regarding the value of the item to be exchanged, a “lemons market” may arise. Unable to distinguish between high-quality and low-quality goods, buyers may not be willing to pay a price that elicits the supply of anything other than the lowest-quality items. Consequently, potential gains from trade may go unrealized. A large number of papers in economics and finance have identified various information transmission mechanisms operating in financial markets. See Riley (2001) for a survey. In this paper, we identify one such mechanism associated with the emerging equity markets of India and Pakistan. The mechanism operates through a unique financing instrument.

The instrument, known as **badla** in local parlance, allows carry forward of open positions from one settlement date to the next. The party carrying forward its position pays a charge called the **badla** rate. An example clarifies. Suppose an investor buys 100 shares of stock X on Monday at Rs 1000 per share. Assume the settlement system is T+2, which means that the payment and delivery takes place two days after the transaction. That means, in our example, the investor is required to pay Rs 100,000 on Wednesday to the seller in exchange for the shares. If he does not have enough funds on Wednesday, he could defer settlement till the next settlement date (Friday) by using the following process: The **badla**

financier pays the money and takes delivery from the seller¹, however, at the same time, the financier sells the shares to the investor at a price in excess of Rs 100,000. Since the sale will be settled on the next settlement date, the investor benefits as his open buy position has been carried forward. The financier benefits since the purchase price is set to be in excess of Rs 100,000. The annualized percentage excess amount is termed the **badla** rate. The financier holds the shares as collateral till settlement. The example given here describes the essence of **badla**. The instrument has been ‘dressed-up’ in various forms historically; however, its essence remains the same.

Essentially, **badla** is an instrument that facilitates a carry over transactions (COT) through a repurchase agreement. An investor engaged in **badla** is simultaneously selling and buying (a repurchase agreement) without changing his net position. The financier is simultaneously buying and selling (a reverse repurchase agreement). However, the financier is exposed to the counterparty risk. The risk is difficult to manage, between the transaction and settlement dates, since the clearing house does not guarantee this transaction. The counterparty (investor) is more likely to be forced into a default precisely when the collateral is eroded. That is, in a sharply falling market

Badla is not a call option since the financee is obligated to pay the financier and take delivery of shares on expiry, whereas in a call option, payment and delivery is at the discretion of the buyer. **Badla** is not equivalent to a futures contract since, in a futures contract, exchange is the counterparty to each transaction (and enforces margin requirements), whereas, a **badla** contract, is effectively between a financee and a financier. **Badla** appears strange in the context of a spot market since it effectively superimposes a feature of the futures market (settlement in the future) onto the spot market. To our knowledge, such an instrument has never existed outside of Indian and Pakistani equity markets.

How large is the counterparty risk faced by the financier? The counterparty risk is significant and has resulted in various payment crises in both India and Pakistan. In one instance, in May 2000, in a chain reaction, several brokers (who were also **badla** financiers) in the Karachi Stock Exchange (KSE) defaulted as share prices fell and **badla** borrowers could

¹ The per-share amount paid by the financier depends on the closing price on Wednesday. In our example, we assume that this price is equal to the price on Monday for simplicity. However, if it is lower, the financier pays the lower price and the investor pays the difference.

not pay up. Due to the crises caused by the counterparty risk, authorities in both India and Pakistan tried to eliminate **Badla** several times. In both India and Pakistan, after each ban, **badla** was started again in a modified form with an objective of better managing the counterparty risk. Eventually **badla** was eliminated officially from Indian markets in 2001, and from the Pakistani markets in 2009. However, it is likely that it still continues informally in both countries.

Due to significant counterparty default risk, one expects that the interest rate charged by the **badla** financier would be significantly above the risk-free rate. However, a puzzling feature of this instrument is the fact that the **badla** rate is typically not too high from the benchmark of the risk-free rate. Given substantial counterparty risks, one would expect the **badla** rate to be substantially higher. Another interesting fact is that financiers are typically brokers. Why don't other financial institutions participate in this market, especially when such participation has been actively sought by regulators? Perhaps, brokers get some benefit from **badla**, which is not available to others. This perception is further re-enforced, when one realizes, that the elimination of **badla** has been fiercely resisted by the broker community (Echeverri-Gent (2001)).

What could that benefit be? Specifically, what is the benefit available to a broker-financier that induces him to supply **badla** finance even when the **badla** rate is apparently not high enough to justify the counterparty default possibility?

In this paper, we argue that the benefits available to the broker community are two-fold from providing **badla** finance. One type of benefit is easy to see, however, the other type is more subtle. Firstly and quite plainly, **badla** finance relaxes the short-term liquidity constraint faced by certain investors. This increases the transaction volume. As brokers charge a commission on transactions, income of brokers goes up. Secondly, and perhaps, more importantly, **badla** is an instrument that brokers use to credibly transmit information to investors. It is likely that brokers have superior information about the value of shares. They have dedicated research departments who specialize in building networks with managers of the firms. Insider-trading is practically not considered a crime in these markets and brokers are widely believed to aggressively seek such information. Khwaja and Mian (2005) have shown that brokers make substantially large profits when they trade on their own account when compared to the gains accruing to clients when they act as intermediaries for them. However, whether a broker is trading on his own account or trading on behalf of a client is

not public information and this way of transmitting information is not credible either for obvious reasons. (A broker may falsely announce that he has purchased so many shares of a certain company. He may then secretly short the stock).

We argue that **badla** provides a unique and credible way of transmitting this information. The amount of **badla** available in each stock is public information and the broker-financier faces significant counterparty risks. The existence of counterparty risk makes information transmission credible. Furthermore, counterparty risk is lower for high value stocks when compared with low value stocks. If marginal counterparty risk is inversely related to the quality of the stock as a vehicle for **badla** investment, signaling equilibria can exist as the ‘single crossing property’ is satisfied. So by providing more **badla** in high value stocks, the broker-financier can credibly transmit his private information. Stocks are re-valued in the light of transmitted information. Consequently, the broker’s commission goes up.

If one considers the history of **badla** (started in Indian markets in the 19th century), an interesting fact emerges. **Badla** has always been supported by the broker-community and considered an essential aspect for the proper functioning of market except for one instance in Pakistan. In early 2009, brokers at the Karachi Stock Exchange (main stock exchange in Pakistan) signed a petition calling for the elimination of **badla**. **Badla** was banned shortly thereafter. What were the reasons behind this sudden change of heart? We will see that an earlier decision by the regulator to cap **badla** volumes may have played a role. The regulator placed an upper limit on **badla** volume to limit the systematic risk; however, it may have had an unintended consequence of changing brokers’ opinion about it, as we will see in the model.

Badla is not only useful because it transmits information and leads to proper valuation of stocks but is also directly productive to the broker-community as it leads to an expansion in trading volume due to relaxation of the short-term liquidity constraint. Hence, **badla** falls in the category of productive signaling. Spence (1973) introduced the idea of signaling in the context of education. The idea has been widely applied since then. However, in contrast to Spence (1973), the model presented here identifies signaling equilibria which are productive. Another example of a paper with productive signaling equilibria is Ben-Shahar (2008), who identifies maintenance costs in the property market as a signal of private information.

Typically, models that identify signaling equilibria usually identify non-productive equilibria. Ross (1977) identifies the management's choice of debt level as a possible indicator of true value to outsiders. Leland and Pyle (1977) point out that the amount of self-financing by entrepreneurs can be a credible indicator of value. Bhattacharya (1979), Meyers and Majluf (1984), Vermaelen (1984), John and Williams (1985), and Miller and Rock (1985) are other examples of models in which managers successfully transmit their private information to outsiders through various credible signals. Literature on signaling is wide and varied. Some examples are Choi (2001), Lutz (1989), and Milgrom and Roberts (1986). For a survey, see Riley (2001).

The birth of a unique financing instrument in prominent emerging markets is an interesting phenomenon well worth studying. However, despite its interesting role, little academic research exists on the topic. To our knowledge, the only published work directly concerned with **badla** is Berkman and Eleswarapu (1998). They empirically study the impact of banning and re-starting **badla** on liquidity and prices in the Bombay Stock Exchange. To our knowledge, the model presented in this paper is the first ever theoretical study aimed at explaining the puzzling characteristics of this unique instrument and its likely role in information transmission.

1. The Model

In this section, we present a model in which there are only two types of firms. The model is generalized to infinitely many types in section 2.

Type 1's profit is characterized by a random variable X , which is uniformly distributed on $[0,d]$, whereas type 2's profit is uniformly distributed on $[0,c]$. Type 1 is superior to type 2 in the following way: $d > c$. At the beginning of each period, nature decides whether a given firm is of type 1 or type 2. The profits are realized at the end of each period. There is a representative broker who is also a **badla**-financier. At the beginning of each period, he chooses how much **badla** to provide in each type of stock. The broker-financier observes nature's move, but the move is not observed by the market. Each firm is a going concern (lives forever).

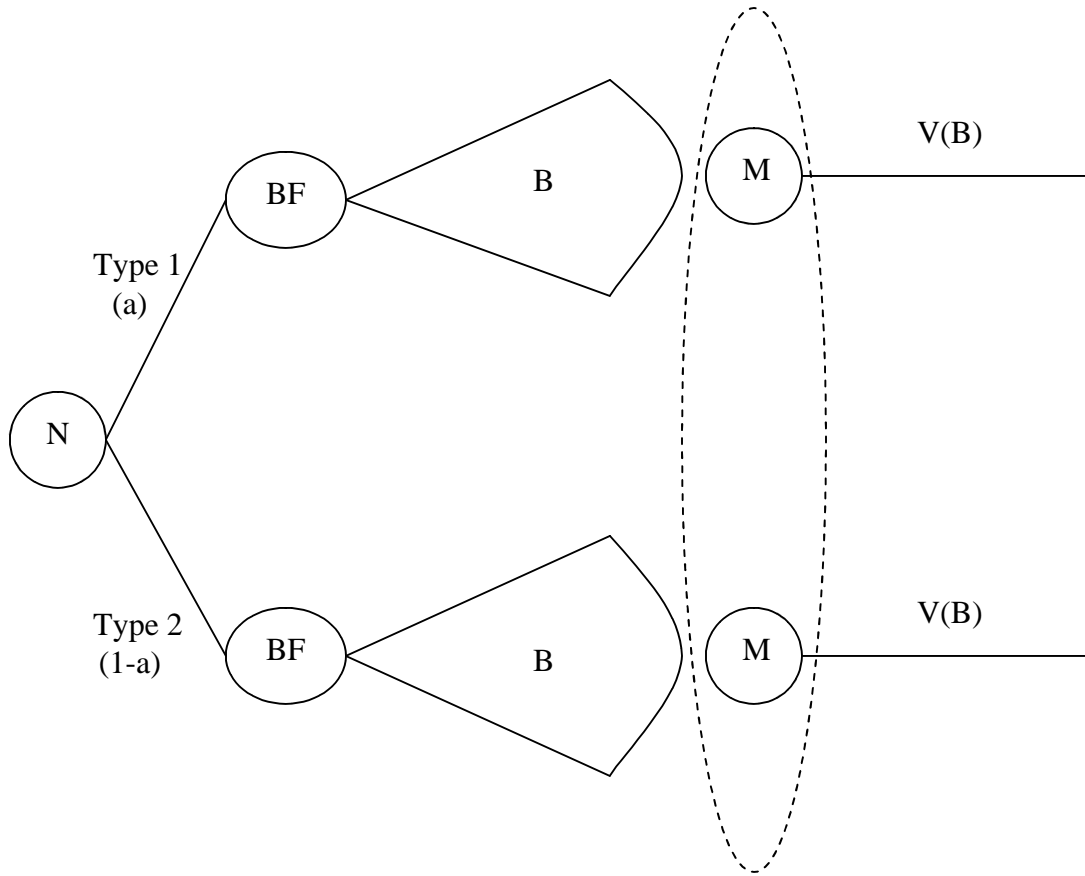


Figure 1

Figure 1 shows the game in extensive form. Three things happen at the beginning of each period. Firstly, nature (N) makes it move and decides the type of a given firm. The move is observed by the broker-financier but not by the market. Secondly, the broker-financier (BF), chooses the amount of **badla** finance (B) to provide. This move is observed by the market. Thirdly, market (M) determines the value of the firm ($V(B)$) and in doing so indirectly affects the commission income of the broker. At the end of the period, profit of the given firm is realized. The frequency of type 1 firms is assumed to be 'a', with $a < 1$, at any give point in time, so frequency of type 2 firms is '1-a'. Without any loss of generality, we assume, $a=0.5$.

Figure 2 shows a particular instance of the game over two time-periods. As can be seen, nature makes a move (at time 0) and decides that the firm is of type 1. So, its profit is realized, at time 1, from the interval $[0,d]$. The nature moves again and decides, at time 1,

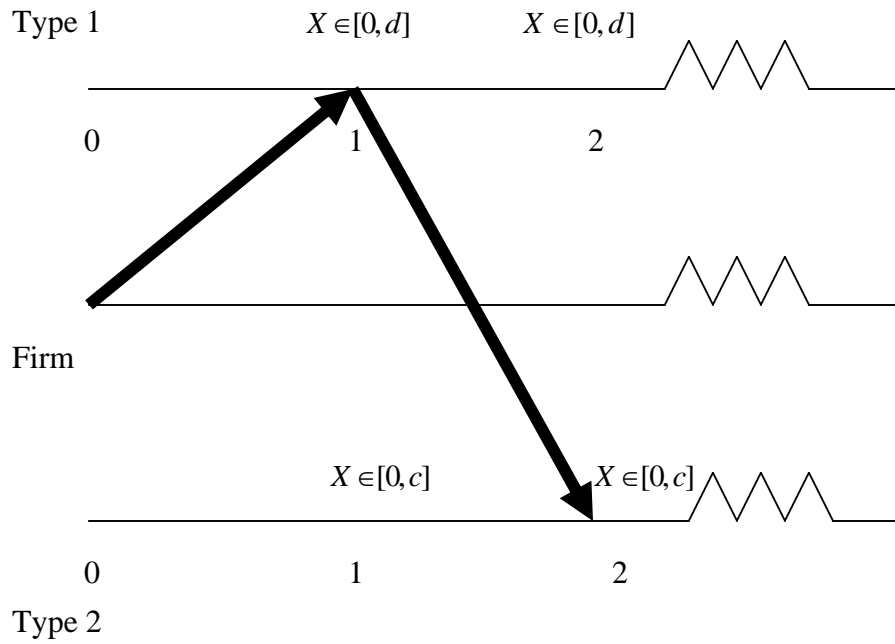


Figure 2

that the firm is of type 2. Consequently, its profit is realized from the interval $[0, c]$ at time 2. The game continues each period with the type randomly decided at the beginning of each period and profits appropriately drawn at the end of each period. Firms are dynamic entities and their profitability is never a constant. Fluctuation in type can be interpreted as changes in the environmental factors affecting a firm's profitability.

If at time 0, the type of a given firm is revealed as type 1, its market value is:

$$V_1 = \frac{d}{2(1+r)} + \frac{c+d}{4r(1+r)} - \frac{\lambda}{(1+r)} \quad (1)$$

Where λ is the coefficient of risk aversion, and r is the discount rate.

Similarly, the market value of a type 2 firm is:

$$V_2 = \frac{c}{2(1+r)} + \frac{c+d}{4r(1+r)} - \frac{\lambda}{(1+r)} \quad (2)$$

Clearly, $V_1 > V_2$.

We assume (without any loss of generality) that, in the beginning of each period, the total volume of transactions processed by the broker in each firm, in the absence of **badla** financing, is exactly equal to the market value of the firm,

That is,

$$\text{Commission Income} = f \cdot V \quad (3)$$

Where $0 < f < 1$ represents the commission percentage (usually 2%) of the broker.

Apart from intermediating, the broker is also a **badla** financier. Broker-financier provides **badla** for one period. **Badla** relaxes the short-term liquidity constraint faced by the market; hence, it enhances the trading volume. Consequently, the broker-financier's commission income goes up:

$$\text{Commission Income} = f \cdot V(B) + f \cdot B \quad (4)$$

Equation (4) shows that **badla** is not only a potential signal (as it may transmit information) but is also productive for the broker as it directly increases his commission income.

However, **badla** creates counterparty risk for the broker-financier. **Badla** is a debt given by the broker-financier to the market. If the profit realized at the end of the period is large enough to cover **badla** payment along with interest on **badla**, i , the broker-financier gets his money back along with interest, otherwise he may lose a part/all of interest or/and a part/all of his **badla** investment. In general, there are three possibilities:

$$\begin{aligned} \text{If } X \geq B + iB, & \quad \text{Badla Income} = iB \\ \text{If } B \leq X < B + iB, & \quad \text{Badla Income} = X - B \\ \text{If } X < B, & \quad \text{Badla Loss} = B - X \end{aligned} \quad (5)$$

Using k to denote the type of the firm, that is, $k \in \{c, d\}$, expected **badla** income is:

$$\begin{aligned} \text{Expected Badla Income} &= \int_0^B (X - B) \frac{1}{k} dX + \int_B^{B+iB} (X - B) \frac{1}{k} dX + \int_{B+iB}^k iB \frac{1}{k} dX \\ \Rightarrow \text{Expected Badla Income} &= iB - \frac{B^2(1+i)^2}{2k} \end{aligned} \quad (6)$$

So, total payoff of the broker-financier is:²

$$\pi = f \cdot V(B) + f \cdot B + \frac{1}{(1+r)} \left\{ iB - \frac{B^2(1+i)^2}{2k} \right\} \quad (7)$$

² Here, we have assumed that the broker-financier is risk neutral. The analysis can easily be extended to the case of a risk averse broker-financier, however, such an extension does not add any value to the analysis.

In practice, the **badla** rate i , is typically not too high from the risk-free rate. The **badla** market does not get much attention from banks, DFIs, and other financial institutions lending support to the theory that the **badla** market is not attractive in its own right. It is likely that it serves some other purpose (signaling?) for the broker-financier. Given that the commission percentage is small (typically 2%), and due to the low return on **badla**, we assume that **badla** market is not attractive enough in its own right for the broker-financier. Specifically, we assume:

$$f \cdot B + \frac{1}{(1+r)} \left\{ iB - \frac{B^2(1+i)^2}{2k} \right\} < 0 \quad (8)$$

Or equivalently,

$$i \leq \bar{i}$$

$$\text{where } \bar{i} = \left(\frac{k}{B} - 1 \right) + \sqrt{\left(\frac{k}{B} - 1 \right)^2 + \left\{ \frac{2kf(1+r)}{B} - 1 \right\}}$$

So, **badla** financing is costly to the broker-financier due to the counterparty default possibility. And, return on **badla** is not large enough to counter it. However, **badla** is relatively more costly for the lower type (type 2). Can this difference in cost lead to credible transmission of information?

Proposition 1 provides an answer.

Proposition 1 *A separating equilibrium exists in which the broker-financier provides a positive amount of badla finance in type 1 and no badla finance is provided in type 2. The market correctly infers the type of each firm in equilibrium. The amount*

$$\text{of badla provided in type 1 is } \bar{B} = c \left\{ \frac{i+(1+r)f}{(1+i)^2} \right\} + \sqrt{c^2 \left\{ \frac{i+(1+r)f}{(1+i)^2} \right\}^2 + \frac{2cf(1+r)(V_1 - V_2)}{(1+i)^2}}$$

Proof. In general, the following steps are involved in identifying a perfect Bayesian equilibrium (separating equilibrium is one example):

- 1) Specify beliefs of the receiver (market in our case).
- 2) Propose a strategy profile

3) Check to see that the strategy profile involves the best response of each player and the beliefs of the receiver satisfy Bayes rule.

In our case, market's beliefs are specified as:

$$P[\text{Firm} = \text{Type 1} | B \geq \bar{B}] = 1 \text{ and } P[\text{Firm} = \text{Type 2} | B < \bar{B}] = 1$$

The proposed strategy profile is:

$$\begin{aligned} \text{Commission Income}(B \geq \bar{B}) &= f \cdot V_1 + f \cdot B \text{ and } \text{Commission Income}(B < \bar{B}) = f \cdot V_2 + f \cdot B \\ \text{Badla provided in type 1} &= \bar{B} \text{ and } \text{Badla provided in type 2} = 0 \end{aligned}$$

For a separating equilibrium to exist, it must be true that the broker-financier has no incentive to deviate from providing no **badla** in type 2 to providing **badla** equal to \bar{B} in type 2. That is, the following inequality must be satisfied:

$$f \cdot V_1 + f \cdot \bar{B} + \frac{1}{(1+r)} \left\{ i\bar{B} - \frac{\bar{B}^2(1+i)^2}{2c} \right\} \leq f \cdot V_2 \quad (9)$$

The right hand side of the above inequality is the payoff to the broker-financier if he provides no **badla** and the left hand side is his payoff from providing **badla** equal to \bar{B} in type 2.

The inequality is binding at

$$\bar{B} = c \left\{ \frac{i+(1+r)f}{(1+i)^2} \right\} + \sqrt{c^2 \left\{ \frac{i+(1+r)f}{(1+i)^2} \right\}^2 + \frac{2cf(1+r)(V_1 - V_2)}{(1+i)^2}} \quad (10)$$

The broker-financier will not exceed the threshold specified by (10) in type 2. So, if **badla**

slightly in excess of $\bar{B} = c \left\{ \frac{i+(1+r)f}{(1+i)^2} \right\} + \sqrt{c^2 \left\{ \frac{i+(1+r)f}{(1+i)^2} \right\}^2 + \frac{2cf(1+r)(V_1 - V_2)}{(1+i)^2}}$ is provided in

type-1, and no **badla** is provided in type 2 (since providing **badla** in type-2 will further lower the income of the broker-financier), then full discrimination of the types takes place and a separating equilibrium exists. Providing \bar{B} in type 1 is feasible since $d > c$ implying

$$f \cdot V_1 + f \cdot \bar{B} + \frac{1}{(1+r)} \left\{ i\bar{B} - \frac{\bar{B}^2(1+i)^2}{2d} \right\} > f \cdot V_2.$$

■

Badla finance, as an instrument, can be used to credibly transmit information, as the model shows. In this sense, it can be considered an institutional response to the information gaps existing in prominent emerging markets of South Asia.

In emerging markets, the question of information transmission becomes even more important since legal and institutional preconditions for proper information flow as pointed out in Black (2001) typically do not exist. It is clear, even to a causal observer, that ground realities in emerging markets are very different from the developed markets. How do these markets respond? How do they continue to function? Perhaps, emerging markets respond by developing innovative information transmission mechanisms. That is, mechanisms unique to them. **Badla** is one example of an endogenously emerged institution that may serve the crucial need of information transmission.

Next, we show that there also exists a continuity of pooling equilibria in which no information transmission takes place.

Proposition 2 *There exists a continuity of pooling equilibria in which no information transmission takes place. Each point in the interval $[0, B^*]$ can support a pooling*

equilibrium.
$$B^* = \left\{ \frac{i + f(1+r)}{(1+i)^2} \right\} c + \sqrt{c^2 \left\{ \frac{i + f(1+r)}{(1+i)^2} \right\}^2 + \frac{2c \cdot f(1+r)}{(1+i)^2} \left\{ \frac{V_1 + V_2}{2} - V_2 \right\}}$$

Proof. As mentioned in the proof of proposition 1, there are three steps in identifying perfect Bayesian equilibria. In this case, beliefs of the receiver (market) are:

$$P[Firm = Type 2 | B \neq B^*] = 1, \quad P[Firm = Type 1 | B = B^*] = 0.5 \quad \text{and} \quad P[Firm = Type 2 | B = B^*] = 0.5$$

The proposed strategy profile is:

$$Commission\ Income(B = B^*) = f \cdot \frac{V_1 + V_2}{2} + f \cdot B^* \quad \text{and} \quad Commission\ Income(B \neq B^*) = f \cdot V_2 + f \cdot B$$

Badla provided in type 1 = B^ and Badla provided in type 2 = B^**

Given that the most tempting deviation for the broker-financier in type 2 from B^* is to 0, the value of B^* is determined from the incentive constraint faced by the broker-financier in type2 as follows:

$$f \cdot \frac{V_1 + V_2}{2} + f \cdot B^* + \frac{1}{(1+r)} \left\{ iB^* - \frac{B^{*2}(1+i)^2}{2c} \right\} = f \cdot V_2 \quad (11)$$

In (11), the R.H.S is the broker-financier's payoff from providing no **badla** in type 2. The L.H.S. is the broker-financier's payoff from providing **badla** equal to B^* . Solving for B^* :

$$B^* = \left\{ \frac{i + f(1+r)}{(1+i)^2} \right\} c + \sqrt{c^2 \left\{ \frac{i + f(1+r)}{(1+i)^2} \right\}^2 + \frac{2c \cdot f(1+r)}{(1+i)^2} \left\{ \frac{V_1 + V_2}{2} - V_2 \right\}}$$

Beyond this value, the broker-financier has an incentive to deviate from the pooling equilibrium in type 2.

■

Corollary 1 *The pooling equilibrium at $B=0$ is superior to other pooling equilibria from the point of view of the broker-financier.*

Proof. Follows directly from the assumption $f \cdot B + \frac{1}{(1+r)} \left\{ iB - \frac{B^2(1+i)^2}{2k} \right\} < 0$.

We mentioned in the introduction that, quite extra-ordinarily, brokers at the Karachi Stock Exchange signed a petition, in early 2009, calling for the elimination of **badla**. **Badla** was banned shortly thereafter. Perhaps, in the light of our model, the earlier decision to cap **badla** volumes may have played a role. Since $B^* < \bar{B}$, plausibly **badla** capping might have forced a pooling equilibrium. As pooling at $B=0$ is better for the broker-financier, enthusiasm for **badla**, in the broker community, subsequently faded.

So far, we have discussed the model with two types only. The model can be generalized to include infinitely many types. This is done in the next section.

2. The General Model with Infinitely Many types

Finding pooling equilibria for infinitely many types is straightforward as we only need the incentive constraint of the broker-financier in the lowest type (as shown in proposition 2). The pooling equilibria essentially remain the same.

To find a separating equilibrium, we assume that the types are characterized by a random variable, K , uniformly distributed on an interval $[c, d]$. As before, the broker-financier knows the types of all firms whereas outsiders (market) do not have this information. The game remains essentially the same with one difference. Instead of choosing from two types in the beginning of each period, nature now chooses from infinity many types.

Proposition 3 identifies a unique separating equilibrium.

Proposition 3 *A unique separating equilibrium exists in which the types are correctly revealed by the amount of badla financing provided:*

$$K(B) = - \left\{ (1+r) + \frac{i}{f} \right\} B + \sqrt{\left\{ \left[\left((1+r) + \frac{i}{f} \right) B - c \right]^2 + 2 \left\{ \frac{B^2(1+i)^2}{f} \right\} \right.}$$

Proof. The broker-financier solves the following optimization problem in each type of stock. He chooses B to maximize his total payoff in each stock.

$$\begin{aligned} \pi &= f \cdot V(B) + f \cdot B + \frac{1}{(1+r)} \left\{ iB - \frac{B^2(1+i)^2}{2k} \right\} \\ \Rightarrow \frac{d\pi}{dB} &= f \cdot \frac{K'(B)}{2(1+r)} + f + \frac{1}{(1+r)} \left\{ i - \frac{B(1+i)^2}{K} \right\} \end{aligned}$$

The first order condition is:

$$f \cdot \frac{K'(B)}{2(1+r)} + f + \frac{1}{(1+r)} \left\{ i - \frac{B(1+i)^2}{K} \right\} = 0$$

By re-arranging the first order condition:

$$K \cdot K'(B) + 2K(1+r) + \frac{2Ki}{f} = \frac{2B(1+i)^2}{f}$$

$$\begin{aligned}
&\Rightarrow K \cdot \frac{dK(B)}{dB} + 2K(1+r) + \frac{2Ki}{f} = \frac{2B(1+i)^2}{f} \\
&\Rightarrow \int K \cdot dK(B) + \int \left\{ 2K(1+r) + \frac{2Ki}{f} \right\} dB = \int \frac{2B(1+i)^2}{f} dB \\
&\Rightarrow \frac{K^2}{2} + \int \left\{ 2K(1+r) + \frac{2Ki}{f} \right\} dB = \frac{B^2(1+i)^2}{f} + z
\end{aligned} \tag{12}$$

where z is the constant of integration.

The middle term can be re-arranged as:

$$\begin{aligned}
&\left\{ 2(1+r) + \frac{2i}{f} \right\} \int K(B) dB \\
&\text{since } K'(B) \text{ can be approximated as } \frac{K(B) - K(0)}{B}, \text{ we have} \\
&K(B) = K'(B)B + K(0) \\
&\text{So,} \\
&\left\{ 2(1+r) + \frac{2i}{f} \right\} \left\{ \int K'(B)B dB + \int K(0) dB \right\}
\end{aligned}$$

Since there is no incentive to signal the lowest type, $K(0) = c$

Hence,

$$\left\{ 2(1+r) + \frac{2i}{f} \right\} \left\{ \int K'(B)B dB + cB \right\} \tag{13}$$

Using integration by parts,

$$\int K'(B)B dB = \int \frac{dK(B)}{d(B)} B \cdot dB = \int B dK(B) = B \cdot K(B) - \int K(B) \cdot dB \tag{14}$$

Substituting (14) in (13),

$$\begin{aligned}
&\left\{ 2(1+r) + \frac{2i}{f} \right\} \left\{ \int K'(B)B dB + cB \right\} = \left\{ 2(1+r) + \frac{2i}{f} \right\} \left\{ B \cdot K(B) - \int K(B) dB + cB \right\} \\
&\Rightarrow \left\{ 2(1+r) + \frac{2i}{f} \right\} \left\{ B \cdot K(B) - \int K(B) dB + cB \right\} = \left\{ 2(1+r) + \frac{2i}{f} \right\} \int K(B) dB \\
&\Rightarrow \int K(B) dB = \frac{B \cdot K(B) + cB}{2}
\end{aligned}$$

It follows,

$$\left\{ 2(1+r) + \frac{2i}{f} \right\} \int K(B) dB = \left\{ 2(1+r) + \frac{2i}{f} \right\} \frac{B \cdot K(B) + cB}{2} \tag{15}$$

Substituting (15) in (12),

$$\begin{aligned} \frac{K(B)^2}{2} + \int \left\{ 2K(B)(1+r) + \frac{2K(B)i}{f} \right\} dB &= \frac{B^2(1+i)^2}{f} + z \\ \Rightarrow \frac{K(B)^2}{2} + \left\{ 2(1+r) + \frac{2i}{f} \right\} \frac{B \cdot K(B) + cB}{2} &= \frac{B^2(1+i)^2}{f} + z \end{aligned} \quad (16)$$

Since there is no incentive to provide a signal in the lowest type, that is, $B=0$ for the lowest type, we have:

$$z = \frac{K(0)^2}{2} = \frac{c^2}{2}$$

So, (16) becomes,

$$\frac{K(B)^2}{2} + \left\{ 2(1+r) + \frac{2i}{f} \right\} \frac{B \cdot K(B) + cB}{2} = \frac{B^2(1+i)^2}{f} + \frac{c^2}{2} \quad (17)$$

Finally, solving for $K(B)$,

$$\begin{aligned} K(B) &= - \left\{ (1+r) + \frac{i}{f} \right\} B + \sqrt{\left\{ \left[(1+r) + \frac{i}{f} \right]^2 \times B^2 + 2 \left\{ \frac{B^2(1+i)^2}{f} \right\} + c^2 - 2cB \left\{ (1+r) + \frac{i}{f} \right\} \right.} \\ K(B) &= - \left\{ (1+r) + \frac{i}{f} \right\} B + \sqrt{\left\{ \left[\left[(1+r) + \frac{i}{f} \right] B - c \right]^2 + 2 \left\{ \frac{B^2(1+i)^2}{f} \right\} \right.} \end{aligned} \quad (18)$$

(18) permits full discrimination of types and there is no incentive to signal a **false** type.

■

Badla has been banned in both India and Pakistan, primarily, because of the ripple effects of the counterparty risk. When **badla** borrowers default, broker-financiers are hit, and if brokers default as a result, it causes panic. So, the counterparty risk embedded in **badla** finance directly contributes to the systematic risk. Consequently, the overall risk perception of the market is adversely affected. However, **badla** has its benefits too, primarily, it may serve the purpose of information transmission as identified in this paper. No wonder, it lasted for over 100 years in South Asia. The emergence and long life of **badla** is an example of market's ability to find creative solutions when faced with serious information asymmetries. Perhaps, other emerging markets, have responded in their own unique ways, and found ways to transmit information.

It must be noted that the key factor that eventually led to the elimination of **badla** has been the development of derivatives market. As is well known, derivatives such as call and put option, apart from hedging purposes, also reflect information about the spot market. So, with alternative information transmission mechanisms, the need for **badla** as an information transmission mechanism for the spot market has diminished.

3. Conclusion

We have considered a unique financing instrument associated with prominent equity markets in South Asia. The instrument known as **badla** may be an institutional response to the information gap existing in these markets. The information gaps in these emerging markets tend to be fairly serious since legal and institutional pre-conditions for proper information flows are not present in these markets. **Badla** may serve a useful purpose by eliminating such information gaps.

Information transmission is a serious consideration, especially for emerging markets as severe information asymmetries are likely to exist. The model presented here illustrates that, perhaps, these markets are responding to the challenge in their own unique ways. Identifying such mechanisms in other emerging markets is an interesting task for future research.

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