

Some Comments on Egghe's Derivation of the Impact Factor Distribution

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ABSTRACT AND KEYWORDS	
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Some comments on Egghe's derivation of the impact factor distribution

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Abstract

In a recent paper, Egghe [Egghe, L. (in press). Mathematical derivation of the impact factor distribution. *Journal of Informetrics*] provides a mathematical analysis of the rank-order distribution of journal impact factors. We point out that Egghe's analysis relies on an unrealistic assumption, and we show that his analysis is not in agreement with empirical data.

Keywords

Impact factor, distribution, rank-order distribution.

1 Introduction

In a recent paper in the *Journal of Informetrics*, Egghe (in press) provides a mathematical analysis of the rank-order distribution of journal impact factors (IFs). Egghe's aim is to give a theoretical explanation for the IF rank-order distributions that are shown in a paper by Mansilla, Köppen, Cocho, and Miramontes (2007). In this communication, we point out that Egghe's

analysis relies on an unrealistic assumption. We also show that his analysis is not in agreement with empirical data. Based on our findings, we conclude that Egghe's explanation for the IF rank-order distributions shown by Mansilla et al. is unsatisfactory.

2 Summary of Egghe's analysis

Egghe interprets the IF of a journal as the average of a number of independent and identically distributed random variables. Each random variable represents the number of citations of one of the articles published in the journal. Using the central limit theorem, Egghe's interpretation implies that the IF of a journal is a random variable that is (approximately) normally distributed. Egghe also makes the assumption that for a given scientific field "each journal in this field can be considered as a random sample in the total population of all articles in the field". This assumption has the implication that the IFs of all journals in a field follow the same normal distribution.¹ Based on this result, Egghe studies the properties of two types of rank-order distributions, namely rank-order distributions of IFs and rank-order distributions of logarithms of IFs. Egghe proves that both types of rank-order distributions have an S-shape, that is, both types of rank-order distributions are first convexly decreasing and then concavely decreasing. The empirical results reported by Mansilla et al. (2007) (see also Althouse, West, Bergstrom, & Bergstrom, 2009) indicate that rank-order distributions of logarithms of IFs indeed have the S-shape predicted by Egghe.

As an illustration of Egghe's analysis, we consider the following hypothetical example. There are 1000 journals in a certain scientific field. During a certain period of time, each of these journals has published 100 articles. The number of citations of an article is a random variable. Since in total 100,000 articles have been published, there are 100,000 random variables. These random variables are assumed to be independent and identically distributed.² To examine how IFs are distributed in this example, we make use of computer simulation. For each of the 100,000 articles, we determine the number of citations by a draw from a negative binomial distribution (e.g., Glänzel, 2009; Schubert & Glänzel, 1983) with mean 1 and vari-

¹In fact, the implication requires an additional assumption, namely the assumption that all journals in a field publish the same number of articles. However, this assumption seems less critical for Egghe's analysis.

²This is equivalent to Egghe's assumption that the articles published in a journal can be regarded as a random sample from the population of all articles published in a field.

ance $5/4$. (The choice of the distribution is insignificant. Other distributions could have been used as well.) We then calculate for each journal the average number of citations of the articles published in the journal. This yields the IF of the journal. The distribution of the IFs of all 1000 journals is shown in Figure 1. As can be seen, the distribution is approximately normal. The rank-order distributions of the IFs and of the logarithms of the IFs are shown in Figures 2 and 3, respectively. Both rank-order distributions have an S-shape. The dashed lines in Figures 1, 2, and 3 indicate the average IF. In Figure 1, the dashed line coincides with the mean of the normal distribution. In Figure 2, the dashed line intersects the IF rank-order distribution approximately in its inflection point. We note that the rank-order distribution shown in Figure 3 has a similar shape as the rank-order distributions shown in Figures 2, 3, and 4 in the paper by Mansilla et al. (2007). At first sight, Egghe's analysis therefore appears to be in agreement with empirical data.

3 Comments on Egghe's analysis

Egghe's analysis depends crucially on the assumption that the articles published in a journal can be regarded as a random sample from the population of all articles published in a field. This is a rather unrealistic assumption. We all know that some journals have a significantly higher IF than others. Moreover, we also know that IFs are fairly stable over time, that is, most journals that have a relatively high (or low) IF in one year still have a relatively high (or low) IF a few years later. It is clear that this would not be the case if Egghe's assumption of random sampling of articles were true.

According to Egghe's analysis, the distribution of the IFs of the journals in a field is approximately normal (like in Figure 1). Egghe does not verify this empirically. In Figures 4, 5, and 6, we show IF distributions for the fields of physics, mathematics, and environmental science. The distributions are based on data from Popescu (2003). This is the same data as is used by Mansilla et al. (2007). It is easy to see that the data does not support Egghe's analysis. The distributions in Figures 4, 5, and 6 should approximate normal distributions with mean equal to the average IF (cf. Figure 1). This is clearly not the case.³ In addition to physics, mathematics, and environmental science, there are nine other fields that are covered by Popescu's data. The

³The variance of the distributions in Figures 4, 5, and 6 is also much larger than what seems reasonable to expect based on Egghe's application of the central limit theorem.

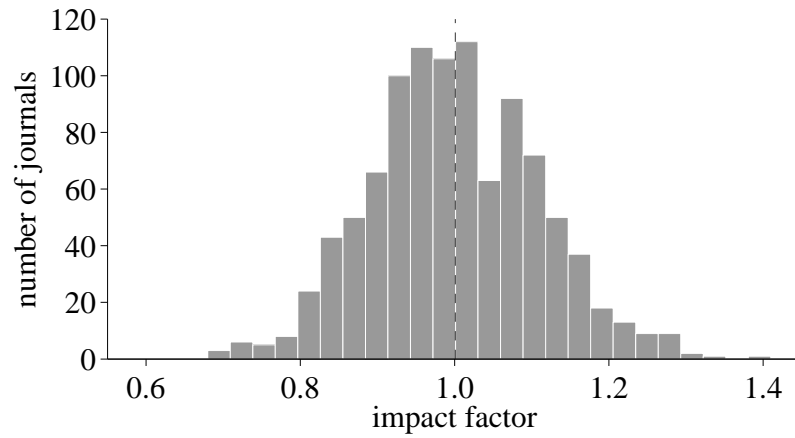


Figure 1: Distribution of the IFs of 1000 hypothetical journals.

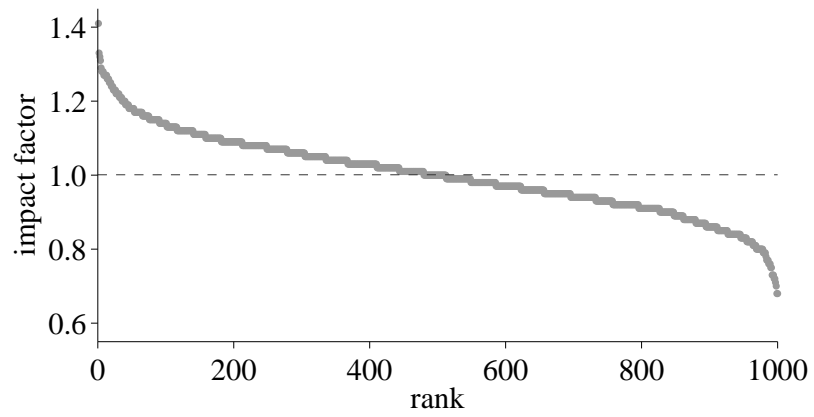


Figure 2: Rank-order distribution of the IFs of 1000 hypothetical journals.

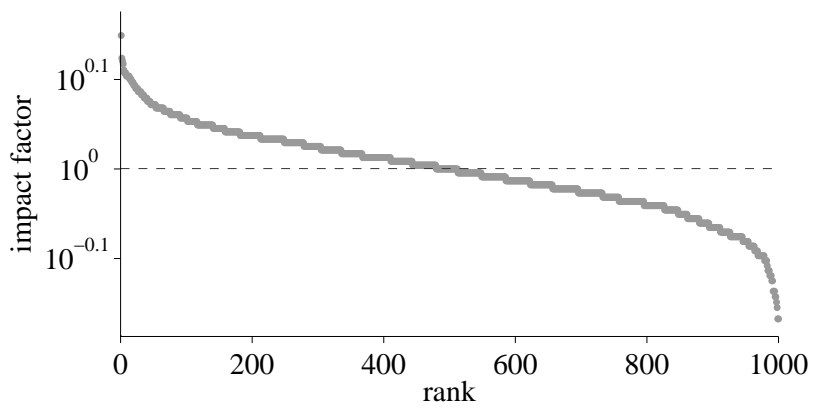


Figure 3: Rank-order distribution of the logarithms of the IFs of 1000 hypothetical journals.

IF distributions for these fields look similar to the distributions in Figures 4, 5, and 6 (most look similar to the distribution in Figure 4) and also do not support Egghe's analysis. For additional empirical evidence that IFs are not normally distributed, we refer to Beirlant, Glänzel, Carbonez, and Leemans (2007) and Schwartz and Lopez Hellin (1996).

Based on his analysis (in particular Theorem 3 in his paper), Egghe also claims that the rank-order distribution of the IFs of the journals in a field has an S-shape (like in Figure 2). Egghe does not provide empirical evidence for this claim. In Figures 7, 8, and 9, we show IF rank-order distributions for the fields of physics, mathematics, and environmental science. The distributions for the fields of physics and environmental science clearly do not have an S-shape. The distribution for the field of mathematics perhaps comes somewhat closer to an S-shape, but the location of the inflection point of the distribution does not correspond with Egghe's prediction (cf. Figure 2). The IF rank-order distributions for the nine other fields for which we have data all do not have an S-shape.

4 Conclusion

We have pointed out that Egghe's analysis relies on the unrealistic assumption that the articles published in a journal can be regarded as a random sample from the population of all articles published in a field. We have also shown that Egghe's analysis is not in agreement with empirical data. Based on our findings, we conclude that Egghe does not give a satisfactory explanation for IF rank-order distributions such as those shown by Mansilla et al. (2007).

There is one remaining question: If Egghe's analysis is not correct, why does it appear to be in agreement with the IF rank-order distributions shown in Figures 2, 3, and 4 in the paper by Mansilla et al. (2007)? The answer to this question is twofold. First, there is only a partial agreement between Egghe's analysis (in particular Theorem 2 in his paper) and the distributions shown by Mansilla et al. The S-shape of the distributions is predicted correctly by Egghe, but his prediction of the location of the inflection point is not correct. Second, the S-shape predicted by Egghe can be obtained in many ways and does not require IFs to be normally distributed. Hence, Egghe's correct prediction of the S-shape does not imply that his analysis is correct. If, for example, one assumes IFs to be exponentially distributed (cf. Schwartz & Lopez Hellin, 1996), one also obtains an S-shape. (Moreover, under the assumption of exponentially distributed IFs,

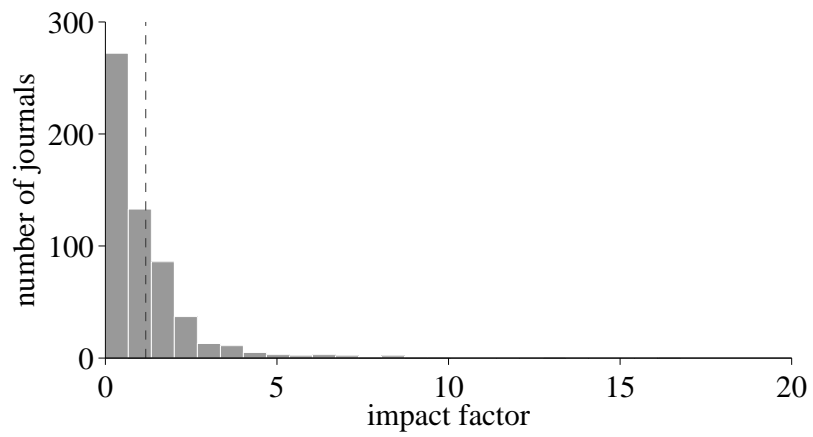


Figure 4: Distribution of the IFs of 574 physics journals.

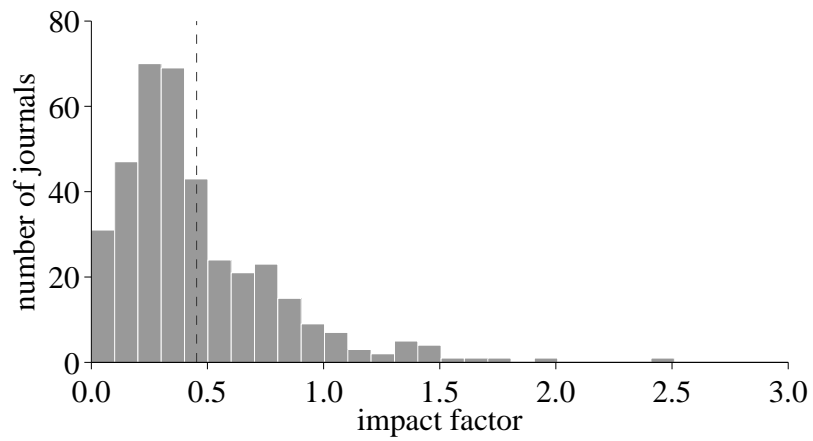


Figure 5: Distribution of the IFs of 378 mathematics journals.

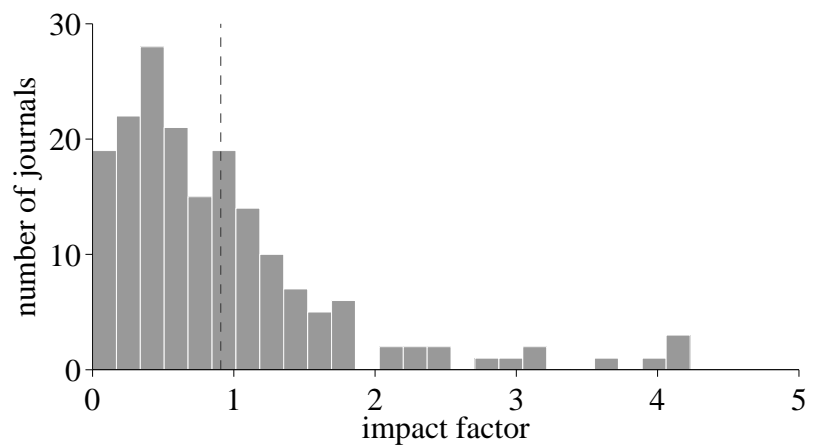


Figure 6: Distribution of the IFs of 181 environmental science journals.

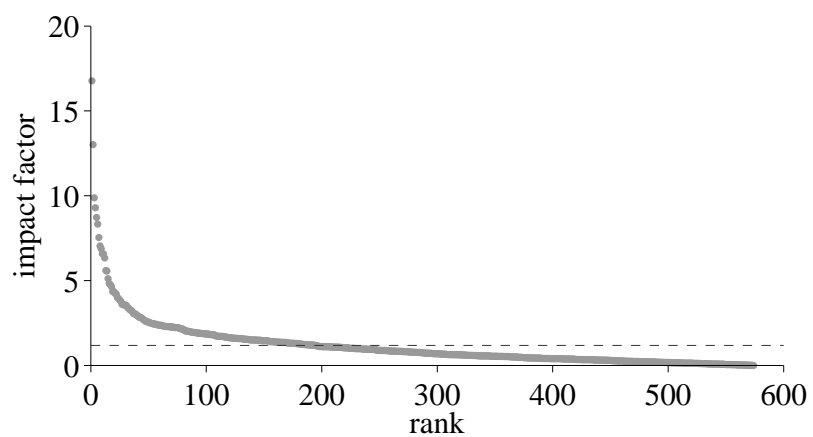


Figure 7: Rank-order distribution of the IFs of 574 physics journals.

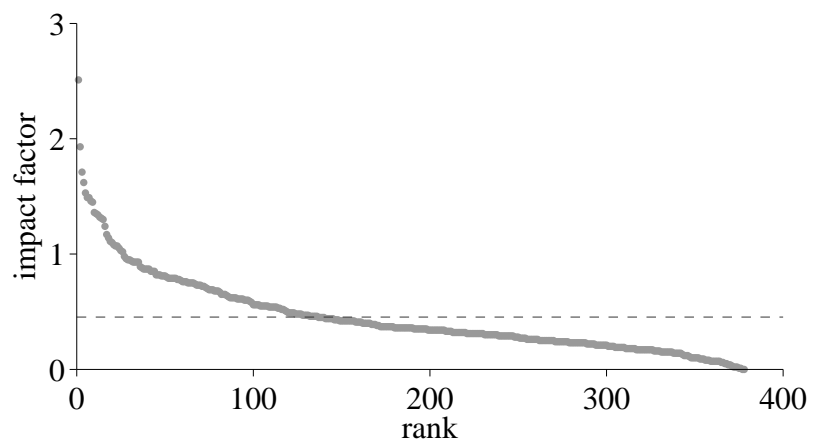


Figure 8: Rank-order distribution of the IFs of 378 mathematics journals.

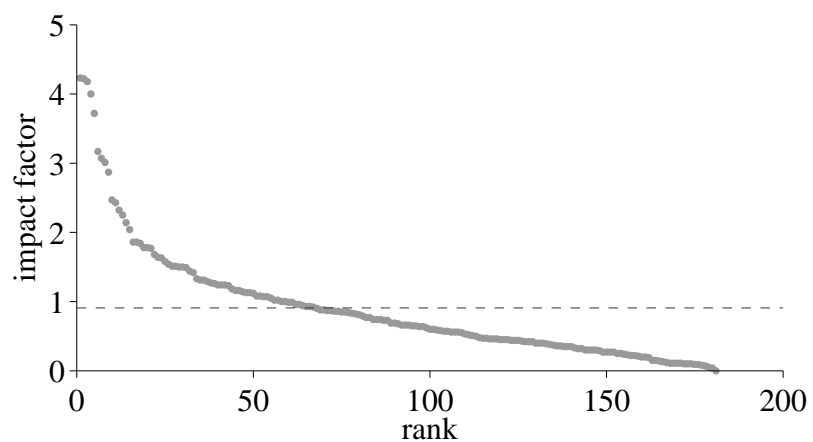


Figure 9: Rank-order distribution of the IFs of 181 environmental science journals.

the location of the inflection point is more in agreement with empirical data.)

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