## How Well do Individuals Predict the Selling Prices of their Homes?\*

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### Abstract

Self-reported home values are widely used as a measure of housing wealth by researchers employing a variety of data sets and studying a number of different individual and household level decisions. The accuracy of this measure is an open empirical question, and requires some type of market assessment of the values reported. In this research, we study the predictive power of self-reported housing wealth when estimating housing prices utilizing the Health and Retirement Study. We find that homeowners, on average, overestimate the value of their properties by between 6% and 10%. More importantly, we are the first to establish a strong correlation between accuracy and the economic conditions at the time of the purchase of the property. While most individuals overestimate the value of their properties, those who bought during more difficult economic times tend to be more accurate, and in some cases even underestimate the value of their house. We find a surprisingly strong, likely permanent, and in many cases long-lived, effect of the initial conditions surrounding the purchases of properties, on how individuals value them. This cyclicality of the overestimation of house prices provides some explanations for the difficulties currently faced by many homeowners, who were expecting large appreciations in home value to rescue them in case of increases in interest rates which could jeopardize their ability to live up to their financial commitments.

**Keywords**: Housing Prices, Self-Reported Housing Values, Panel Data, Instrumental Variables, Sample Selection, Health and Retirement Study

### JEL classification: E21, C33, C34

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### **1. Introduction and Motivation**

Housing wealth is one of the pillars of the well-being of Americans families, especially because it represents more than 60% of the average net wealth of US households, according to the Federal Reserve's 2004 Survey of Consumer Finances (SCF).<sup>1</sup> However, we know relatively little about the ability of households to predict the market value of their homes in the context of household level representative surveys and using data on sales prices of those properties. If anything, the tumultuous times in the housing market in the last couple of years seem to indicate the presence of possibly serious errors in predicting the evolution of housing prices and mortgage rates by a non-trivial proportion of home owners. While a number of researchers have described the existence of some overestimation in housing values (in the 3% to 6% range in the last studies), as far as we know, we are the first researchers to analyze the predictive power of self-reported housing wealth in an econometric model of sales prices.<sup>2</sup>

Understanding the accuracy of self-reported housing wealth is of great importance in a variety of contexts, since it is a pervasive explanatory variable (either by itself or as a component of net individual or household worth) in just about any empirical analysis or behavioral model of individuals' and households' decision making. For example, it is a key variable in decisions such as retirement (see e.g., Moore and Mitchell 2000, Engen, Gale, and Uccelo 1999 and 2005, Gustman and Steinmeier 1999, and Lusardi and Mitchell 2007), consumption (Skinner 1989, Case, Quigley, and Shiller 2005, Tang 2006, Agarwal 2007, Campbell and Cocco 2007, and

<sup>&</sup>lt;sup>1</sup> See Bucks, Kennickell, and Moore (2006). This fraction is considerably lower than in some European Countries. For example, in Spain housing wealth represents 87.5 % of net wealth.

<sup>&</sup>lt;sup>2</sup> Most studies use the American Housing Survey, which follows houses rather than households, or the Survey of Consumer Finances (SCF), which is not a panel data survey. See Agarwal (2007), Kiel and Zabel (1999), and Goodman and Ittner (1992). The first study on this issue was published by Kish and Lansing (1954) using the 1950 SCF, and it was not until Kain and Quigley (1972) that this was revisited. The latter authors acknowledge that *"the only accurate estimate of the value of a house is its sale price..."*, however, due to data limitations, and what they perceived as possibly serious selection problems, their analysis focused, as the early study, on comparisons of households' self-reports with appraisals by experts. The latter can be considered indirect market assessments, since they use information on similar properties, and try to control for the observable characteristics of the property.

Disney, Gathergood, and Henley 2007), savings (Hoynes and McFadden 1997, Disney, Henley, and Stears 2002, Klyev and Mills 2006 and Juster, Lupton, Smith, and Stafford 2005), and the debt composition of the household (Disney, Bridges, and Gathergood 2006). However, since in household surveys housing wealth is typically self-reported, it is likely to be exposed to inaccuracies with respect to its actual (market assessed) value. This important accuracy concern has not been studied in much detail.<sup>3</sup>

In this research, we take a closer look at the accuracy of self-reported housing wealth, using the Health and Retirement Study (HRS), in particular a rarely used section on capital gains, where sales prices are reported by homeowners. This allows us to compare the self-reported housing values with self-reported sale prices. In particular, it enables us to estimate a sales price equation as a function of self-reported housing wealth in the previous interview of the panel study.<sup>4</sup> We find, using OLS regressions, sample selection corrected specifications to control for the possible bias in the ownership decision, and Instrumental Variables specifications to account for endogeneity, that homeowners on average overestimate the value of their properties by between 6% and 10%. We also show that the overestimation is primarily due to the large expected capital gains implicit in the self-reported home values, especially since the mid 1980s.

There is, however, considerable variation in how accurately homeowners predict the value of their properties depending on when individuals bought their homes. While most individuals overestimate the value of their homes (some by as much as 20%), individuals who

<sup>&</sup>lt;sup>3</sup> This inaccuracy can explain that wealth measures in general, and housing wealth in particular, are, in a number of empirical settings, found to have low predictive power (see Venti and Wise (2001), Juster, Lupton, Smith, and Stafford (2005), and Tang (2006)).

<sup>&</sup>lt;sup>4</sup> Sales prices do not always reflect market values due to the existence of many complex transactions that include, for example, personal property, land exchanges, and within family sales. This also means that the terms of the sale could vary over the business cycle. Unfortunately, we cannot assess the importance of these issues with our data. However, it is not obvious whether in the presence of some or all of these in any data on selling prices, the reported values will be systematically higher or lower than the market values.

acquire their properties during economic downturns tend to be more accurate, and in some cases even underestimate the value of their houses.

We document a strong correlation between the evolution of our accuracy estimates over time, and the business cycle. In periods of high interest rates and declining incomes, the buyers are likely to have lower appreciation expectations due to the declining housing prices, and end up assessing, on average, more accurately the value of their homes, and even in some cases underestimating it. Furthermore, the buyers during the downturns tend to be more educated which is likely to be correlated with having better information about the value of their homes. These results establish a surprisingly strong, likely permanent, and in many cases long-lived effect of the initial conditions surrounding the purchases of properties, on how individuals value them.

Our results provide some explanations for the difficult situation that many homeowners are currently facing, since they are consistent with the growing evidence of the existence of a sizable fraction of home owners (many of them first time buyers, given the increasing homeownership rates in the period) who bought their houses in the last decade with soft (and risky) mortgages, expecting large appreciations in home value to rescue them in case of increases in interest rates which could jeopardize their ability to live up to their financial commitments.

In Section 2, we propose an empirical strategy for testing the accuracy of self-reported housing wealth grounded on a model of price dynamics, and introduce some natural instruments to control for endogeneity in this type of models, accounting for the possible presence of sample selection bias concerns. We present our data and summary statistics in Section 3. The main empirical results are presented and discussed in Section 4, and Section 5 analyzes the relationship between our accuracy estimates and the business cycle. Section 6 provides some conclusions.

### 2. Testing the Accuracy of Self-Reported Housing Values using Sales Prices

It is useful to present our empirical effort as intimately linked with the underlying price dynamics of the houses in which the individuals we have data on live in.<sup>5</sup> We therefore start from a price equation that relates the price of the home in the previous period to its current price. We write that equation as

$$y_{i,t} = \beta_1 y_{i,t-1}^* + \alpha T + \varepsilon_1 \tag{1}$$

where  $y_{i,t}$  represents the price of homeowner *i*'s house at time *t*, and we write it as a function of its price at the time that we observe a self-assessment of the value by the owner. Since the market value of the property at the time of the self-assessment is not observed in our data, we consider this price a latent variable. We also include in the specification a time trend which captures the time elapsed between the consecutive market assessments, and an error term to account for idiosyncratic factors in the home's price trajectory. A more general price process can be estimated from available data on transaction prices of houses overtime, without the restriction that the lagged transaction price refers to the period in which we observe the self-assessment. We present that evidence in the next subsection.

<sup>&</sup>lt;sup>5</sup> We are grateful to an anonymous referee for suggesting the key elements of this framework which allow us to clarify the connection between transaction prices and self-reported home values, as well as illuminate the nature of our empirical efforts. The particular functional form of equation (1), which directly affects the specifications we estimate below, is chosen to be relatively simple, but it is possible to imagine more complex functional forms, as suggested by another referee. For example, it is possible to reach a specification in which both the selling price and the self-reported home values are in logarithmic form. Such a specification (available from the authors upon request) actually delivers very similar results to those we will present below.

In our data set we have access to the dependent variable of equation (1) which represents the transaction price at a given point in time, and the self-reported house value at a point in time before the sale,  $X_i^{t-1}$ , which is the individual's assessment of that transaction price at *t*-1 and therefore an estimate (possibly with error) of the latent price variable. We could then write the self-reported house value as a function of the latent variable as follows

$$X_{i,t-1} = \beta_2 y_{i,t-1}^* + \varepsilon_2$$
 (2)

where we can see that if  $\beta_2$  is more than one we would argue the individual is overestimating the value of the house. This equation (2) is our equation of interest, and  $\beta_2$  our main parameter of interest to test the accuracy of self-reported home values. While we do not observe the price at *t*-*1* as discussed above, so we cannot directly estimate  $\beta_2$ , we can use equation (2) to write the latent price variable as a function of the observable self-reported home value, and substitute it into equation (1). We can then write

$$y_{i,t} = \beta_1 ((X_i^{t-1} - \varepsilon_2) / \beta_2) + \alpha T + \varepsilon_1 \qquad (3)$$

and rearrange it as follows

$$y_{i,t} = \frac{\beta_1}{\beta_2} X_i^{t-1} + \alpha T + (\varepsilon_1 - \frac{\beta_1}{\beta_2} \varepsilon_2).$$
 (4)

Equation (4) is the key empirical relationship of interest to us, because it allow us to clearly show (i) how the test of accuracy of self-reported home values is structurally linked to the underlying price dynamics of the properties, and (ii) how the econometric specifications we will provide will confront the task of consistently and efficiently estimating the parameters of interest in the model.

Notice two key features of equation (4). First, the term in front of the self-reported home value is the product of two coefficients, one is our main coefficient of interest  $\beta_2$ , the accuracy of

self-assessment parameter, the other is the coefficient from the price dynamics relationship, equation (1). Only if  $\beta_1$  is equal to 1 would we be able to interpret the results from estimating equation (4) as a test of the accuracy of self-reported home values. This means that if we, for example, estimate the slope coefficient in equation (4) to be less than 1, then we do not know whether this is because individuals are not accurate or because the underlying price dynamic equation is not a perfectly autoregressive process. It is possible for the slope estimate to be less than 1 even if  $\beta_2$  is exactly equal to 1, and it is possible to obtain a slope coefficient equal to 1 even if  $\beta_2$  is not equal to 1. Second, notice that the error term in equation (4) is now a function of two error terms and that our parameter of interest is now part of that compound error term. This is a source of endogeneity in the estimation of the parameters of interest, and one that justifies an Instrumental Variable specification to consistently estimate the relationship in equation (4).

As we will discuss below we can find an estimate of  $\beta_1$  both within our sample and from an external data source, and if estimated to be different from one used directly in the estimation to back out the parameter of interest  $\beta_2$ . We can then estimate the following simplified model

$$y_i^t = \beta X_i^{t-1} + \alpha T + \varepsilon_i \quad (5)$$

where  $\beta = (\beta_1/\beta_2)$ , and assuming for example that we find that  $\beta_1 = 1$ , we argue that homeowners predict the market value of their house accurately if  $\beta = 1$ . If homeowners overestimate (underestimate) the value of their home, then  $\beta$  will be less than (more than) one.<sup>6</sup> If  $\beta_1$  is

<sup>&</sup>lt;sup>6</sup> There is no reason to believe that the model should contain a constant as there is no minimum market value for the houses, and the left and right hand side are measuring the same asset. In fact, we have run several empirical specifications with a constant and it comes out to be insignificant, as expected, no matter how we specify the model. In the empirical work we present results with and without a constant in the regression. This specification could be understood as akin to a Rational Expectations characterization of the problem, in which we would be testing the joint significance of both the constant and the slope term. However, from our preferred specifications it is very clear that the specification with a constant is very noisy (the standard errors on the slope coefficient almost double once we introduce the constant) and the constant is always estimated very imprecisely. The joint hypothesis that the slope is 1 and that the constant term is 0 cannot be rejected, but we take this result with caution and choose as our preferred specification the one without the constant term. Manski (1990) advocated for the careful use of any kind of intentions data, especially if to be used to predict behavior. Manski (2004) has emphasized the importance of

estimated to be different from 1, we can then back out  $\beta_2$  and compare that estimate to 1 to assess the accuracy of the prediction by households.

Estimating (5) is, in principle, straightforward through a simple conditional moment estimator like Ordinary Least Squares, but the presence of endogeneity concerns, and a potential sample selection bias concern (given that only a relatively small proportion of individuals sell their houses during the period of analysis) complicate the identification process. We use three alternative specifications in order to address these issues, but before we describe them in some detail we present some evidence regarding the value of  $\beta_1$ .

### 2.1 Estimating a Price Dynamics equation

In order to estimate a specification akin to equation (1) we need to have data on transactions prices over time for houses. As we have discussed above, we do not have data on transactions prices at the same time that we observe the self-assessment reports by the households, but we do have general information on repeated transaction prices both in the Health and Retirement Study (HRS), a survey of older American households which we will use to estimate the accuracy of self-reported home values, and in nationally representative surveys of houses like the American Housing Survey (AHS). We can then estimate a variation of equation (1), in which we no longer have a latent variable on the right hand side but an actual market price from the last time the house was transacted.

Table 1 below presents results of estimating a price dynamics equation using the HRS and the AHS. Notice that we can essentially estimate the same specification in the two data sets, with the only difference being that the AHS is a much larger sample, which allows us to obtain

analyzing expectation formation, and Hamermesh (2004) discusses the usefulness of subjective outcomes in economics. Benítez-Silva and Dwyer (2005, 2006) test the Rational Expectations Hypothesis in the context of retirement expectations of individuals and couples using micro data, and Benítez-Silva et al. (2008) generalize the framework and also use education expectations, as well as longevity expectations to test the hypothesis.

more efficient estimates of the coefficient of interest,  $\beta_1$ . We will discuss the characteristics of the HRS in some detail in section 3 below since it is the data set we use to analyze the accuracy of self-reported home values. Here we describe the main characteristics of the national data from the AHS, and the sample we use to estimate the price dynamics equation.

The American Housing Survey (AHS) is a survey conducted by the Bureau of the Census for the Department of Housing and Urban Development. It collects data on the Nation's housing, including apartments, single-family homes, mobile homes, vacant housing units, household characteristics, income, housing and neighborhood quality, housing costs, equipment and fuels, size of housing unit, and recent movers. National data are collected in odd numbered years, and the national sample covers an average 55,000 housing units. The AHS returns to the same housing units year after year to gather data; therefore, this survey is ideal for analyzing the flow of households through housing.

In the results we present below for the HRS and AHS we estimate a specification very similar to equation (1). In particular we estimate

$$y_{i,t} = \beta_1 y_{i,t-1} + \alpha T + \varepsilon_1 \tag{6}$$

where we no longer have the previous transaction price of the house as a latent variable since we can observe it directly given that we no longer require that is observed at the time of a selfassessment of the value of the house by the owner. That means that the time elapsed between each transaction can be much higher, in fact in some cases several decades.

In the estimation based on HRS data, we use as dependent variable prices from sales transactions that occur between 1992 and 2001. The properties sold were previously transacted (purchased from previous owners or constructed) as far back as 50 years ago. Similarly, in the AHS we use transactions that occur between 1991 and 2001, using the 1991 to 2001 (total of 6

waves) national surveys, with the previous transactions occurring also as far back as the first decades of the 20<sup>th</sup> century. We include a measure of the years elapsed between transactions, as well as indicators of the decade in which the original transaction occurred. In the AHS we restrict our sample to first sales after 1991 and units that remained unchanged in size (consistent square footage) over time.<sup>7</sup>

As shown in Table 1, the estimates of  $\beta_1$  from these two completely different data sources are surprisingly consistent with each other and very close to 1. The estimates indicate that we cannot reject at standard confidence levels that the main coefficient of interest from equation (6) is equal to 1, suggesting a highly autoregressive process in the price dynamics equations once we control for a time trend. These results give us confidence in our efforts of identifying consistent estimates of the accuracy of self-reported home values from the estimation of equation (5), and in the characterization that accounts for the time trend between the observed home values.

Dependent Variable:		HRS Sa	mple	AHS National Sample (weighted)			
Sale Price	Coefficient	St. Error	95% Conf. Interval	Coeff.	St. Error	95% C.I.	
Purchase price	1.037	0.135	[0.771, 1.303]	1.017	0.011	[0.995, 1.038]	
Years between purchase							
and sale	5378.91	1007.27	[3402, 7356]	2693.48	55.83	[2584, 2803]	
Purchased before 1960	-132220.3	35504.3	[-201905, -62535]	-24789.4	1754.3	[-28228, -21350]	
Purchased 1960-1969	-71659.6	27077.1	[-124804, -18514]	-1936.59	1708.3	[-5285, 1412]	
Purchased 1970-1979	-33473.9	17875.2	[-68557, 1610]	1928.22	1465.8	[-945, 4801]	
Purchased 1980-1989	-19675.9	12465.3	[-44141, 4789]	-727.67	1172.2	[-3025, 1570]	
Constant term	-2281.9	22229.4	[-45911, 41348]	1258.07	1504.7	[-1691, 4207]	
Adjusted R-squared	0.4067			0.6775			
# Observations	871			14,819			

 Table 1: The Price Dynamics Equation

### **2.2 OLS Specification**

In the HRS data we observe the market value of a property when the individual reports, retrospectively, the price at the time of the sale of a house they owned in the last survey wave.

<sup>&</sup>lt;sup>7</sup> Many properties in the AHS increase significantly in size over time, suggesting that the units underwent unusual updating and remodeling.

Therefore, the self-reported house value is obtained from the previous wave of data. Given data collection every other year only, there may be as many as 24 months between the measurement of the sale price and the self-reported house value. In the interview, individuals are asked about the current market value of their homes rather than to forecast the price for some future period. In order to correct for the possible appreciation (depreciation) of the value of the house during that time, we control for the number of months between the observances of these two variables.<sup>8</sup> The OLS specification is then what we present in equation (5) above where  $X_i^{t-1}$  represents the self-reported house value from the previous wave, and *T* represents the number of months between the time the market price refers to and the self-reported home value.

#### 2.3 IV Specification

As we have discussed above, endogeneity concerns rooted in a structural price dynamics framework can easily appear in our specification. Additionally, we are concerned about other endogeneity sources linked to unobserved heterogeneity, where both the selling price and the forecasted price could be correlated with some local common factors, or characteristics of the house, which we cannot observe. To account for endogeneity we propose an Instrumental

<sup>&</sup>lt;sup>8</sup> Notice, that this discrepancy in the timing of the assessment suggests that the relationship in (1) is potentially nonlinear. We have allowed for the difference in months to enter non-linearly (which could capture changing economic conditions in the months before the sale which could affect the price, like movements in the interest rates), but results have not changed. One possible alternative would be to adjust all the observed prices to the same time period. This, however, may create some unwanted measurement error since in many cases there were only a few months of difference between reports. Also, the only location information in the public releases of the HRS is the region of the residence, so the best we can do is to adjust for the region level house price index. There is a lot of variation in the change in the house prices even within the same county and such a crude adjustment will only provide more measurement error to the variable. More importantly there is no reason to believe that the house values should keep up with the inflation rate. Nevertheless, we used several ways of adjusting for inflation in addition to simply controlling for time differences. These results were consistent with those reported in the present paper. Additionally, due to the fact that it might be natural to expect  $\beta$  to be higher where there is less of a lag, which suggests T should be interacted with the owner's estimate, we have performed an extensive sensitivity analysis of the consequences of including this interaction term. The results of our preferred specification remain literally unchanged, therefore, the empirical evidence suggest that those who sell shortly after the interview do not report systematically more accurate estimates of the selling price of their properties than those who sell shortly before the following interview.

Variables (IV) approach. If endogeneity was not a problem we would expect the  $\beta$  coefficient of the IV estimator to be very close to the one from the OLS specification, assuming validity of the instrument set. This is the intuition behind exogeneity tests for this specification which we also discuss in the results section, with all of them supporting the IV as the specification of choice.

The longitudinal structure of our data readily provides us with a candidate for an instrument. Homeowners repeat their house values in consecutive periods. It is natural to conjecture that past self-reported house values are correlated with the recent self-reported house value variable, but are uncorrelated with the disturbances in the actual sale price equation.<sup>9</sup> We can formally state this IV specification as follows:

$$y_i^t = \beta X_i^{t-1} + \alpha T + \varepsilon_i$$

$$X_i^{t-1} = \delta_1 X_i^{t-2} + \gamma Z_i^{t-1} + \alpha T + e_i$$
(8)

where in the empirical analysis, and in order to test the properties of the exclusion restrictions, we also use as instrument the tenure on the house (that is, the duration of ownership of the house), represented by the variable Z in equation (8), since it is unlikely to be correlated with the disturbances in our main equation. As we discuss below, both instruments pass the conventional exogeneity test (over-identification test) presented in the literature, supporting the moment condition  $E[\varepsilon_i | X_i^{t-2}, Z_i^{t-1}] = 0$ . Interestingly, results of a just-identified model are virtually identical, only with some loss in efficiency of the estimates.

Another possible natural exclusion restriction, with likely better theoretical properties, is the difference between  $X_i^{t-2}$ , the twice lagged self-reported value of housing, and  $X_i^{t-3}$ , the three times lagged self-reported value of housing, since it basically eliminates the possibility of any

<sup>&</sup>lt;sup>9</sup> The use of lagged endogenous variables as possible exclusion restrictions in IV estimations has a fairly long tradition (Hansen and Singleton (1983), Hall (1988), and Patterson and Pesaran (1992)), but it frequently encounters the problem of weak instruments (Yogo (2004)). In our case, however, the self-reported house value follows a highly autoregressive process allowing us to strongly reject that we have weak instruments.

correlation with the person specific component that might be present in the error term in the equation of interest. We have estimated such a model, and while the point estimate of  $\beta$  is slightly lower, the lack of efficiency (due to the fact that this instrument is not as strong as the level of the twice lagged self-reported home value), which results in much larger standard errors, the loss of another 175 observations, and the (good) results of the over-identification tests of the previous specification, convinces us that the main IV specification we should use come from the one discussed above. We discuss the results using this alternative instrument set in section 4.

### 2.4 IV with Selection

Given that we observe  $y_i^t$  only for the homeowners who sell their houses, and only a relatively small portion of homeowners sell in any given survey wave, we are concerned with selection on unobservables; namely, homeowners who sell their houses may be different from homeowners who do not sell their houses in some unobserved characteristics. If that is the case, the estimated coefficients from OLS and IV may be biased. For example, if homeowners who sell their houses are more knowledgeable about the overall market, their home value estimates would be more accurate and  $\beta$  coefficients estimated using OLS or IV would be biased towards one.<sup>10</sup>

However, the selection process here is non-standard, in the sense that individuals have many chances to sell their homes during the survey period, but only do it once. Econometrically that means that we observe a given individual over time making the selling decision repeatedly (mostly choosing not to sell), while we only observe one instance of sale. That means that the selection equation has both a time-invariant individual specific component and a time variant idiosyncratic error term.

<sup>&</sup>lt;sup>10</sup> Genesove and Mayer (2001) argue that sellers and non-sellers are quite different in the presence of loss aversion, suggesting the need to control for possible selection bias when using a sample of sellers.

In order to purge our OLS or IV estimates of the possible biases resulting from this selection mechanism, we follow a two-step procedure described in Wooldridge (1995), and also in line with the discussion in Hsiao (1986), which without needing the distributional assumptions discussed for example in Jensen, Rosholm, and Verner (2001), provides a consistent (but likely inefficient) estimation procedure.<sup>11</sup>

The corresponding IV approach with selection is as follows:

$$Z_{i,t} = 1(a + bHE_i^{t-1} + cX_i^{t-1} + u_i + \kappa_{i,t} > 0)$$
(9)

$$y_i^t = \beta X_i^{t-1} + \alpha T + \lambda_i \pi + v_i \tag{10}$$

$$X_{i}^{t-1} = \delta_{1} X_{i}^{t-2} + \gamma Z_{i}^{t-1} + \alpha T + e_{i}$$
(11)

where equation (9) is the selection equation, which if we make a normality assumption regarding the error term can be estimated through a period by period probit regression of the selling decision, which allows, as discussed by Wooldridge (1995), to account for the likely serial correlation between the selling decisions over time by a given individual. The selling decision depends on home equity at the time of the sale ( $HE_i^{t-1}$ ), and the expected home value ( $X_i^{t-1}$ ). Home equity is a natural choice for the exclusion restriction, since on theoretical grounds it should not affect the selling price (and empirically, we do not find evidence to suggest otherwise), and it seems to perform as a summary statistic for a large number of household characteristics and initial conditions such that is highly correlated with the selling decision.<sup>12</sup>

<sup>&</sup>lt;sup>11</sup> Our case fits the one described in sections 3.2 and 4.2 in Wooldridge (1995). Baltagi (2005) also describes this sample selection bias correction procedure.

<sup>&</sup>lt;sup>12</sup> Technically we do not need the exclusion restriction to identify this model given the non-linearity resulting from the distributional assumption (normality) of the error term in equation (9), but we follow the conventional practice of including at least one likely exogenous variable to provide non-parametric identification to the model. We have also experimented with other exclusion restrictions like individual characteristics of owners like education or race, and the results are essentially identical. We have also estimated the selection model only relying on the parametric distributional assumptions of the selection methodology and the results are also unchanged. Additionally, we have also experimented with a different estimation strategy, following Olsen (1980), in which the selection equation is modeled as a Linear Probability Model, and after an error transformation a correction term is constructed in the

From the period by period probit estimates, we construct an inverse mills ratio ( $\lambda_i$ ) that is used to control for the selection in the main equation (10).<sup>13</sup>

After estimating the selection equation, the uncorrected and corrected IV estimates are obtained from estimating the system of equations (10) and (11) using GMM, correcting the standard errors for unknown forms of heteroskedasticity, and using the optimal weighting matrix to obtain consistent and efficient estimates, even in the presence of arbitrary serial correlation of the disturbances.<sup>14</sup>

## **3.** The Health and Retirement Study: Self-Reports on House Values and Selling Prices

While the HRS is the data set of choice when analyzing retirement behavior, savings, and the health status of older Americans (given its wealth of demographic, health, and socio-economic data, as well as detailed assets and income sections) it has been rarely used to study questions regarding the housing market. However, a rarely used section of the HRS provides very detailed information about real estate transactions by older American households, which allow us to repeatedly observe self-reported house values, as well as the selling prices of properties sold in the 1994 to 2002 period, using the first six waves of the HRS. The HRS is a nationally

spirit of Heckman (1979). The advantage of this technique is that we can easily account for the error structure that includes the individual component and the idiosyncratic component, and we can experiment with the inclusion of larger number of exogenous variables in the selection equation which were more problematic to include in the non-linear first stage due to their likely endogeneity, which here can be more easily overcome with IV techniques. Similarly to Olsen (1980) we find essentially identical results using both methods, and since in both cases selection matters very little to our results, we have chosen to present the results of the more traditional selection correction specifications. The results using the alternative specification are available from the authors upon request.

<sup>&</sup>lt;sup>13</sup> Jiménez-Martín (2006), and Jiménez-Martín and García (2007) use this specification in their panel data models of wage bargaining, and Benítez-Silva and Dwyer (2005), and Benítez-Silva et al. (2008) discuss related models using a similar type of specification.

<sup>&</sup>lt;sup>14</sup> In the implementation of this procedure we have followed the practical suggestions in Baum, Schaffer, and Stillman (2003 and 2007).

representative longitudinal survey of 7,700 households headed by an individual aged 51 to 61 as of the first interviews in 1992-93. The sixth round of data was collected in 2002.<sup>15</sup>

In this analysis, we include respondents who are financially knowledgeable members of the household who own a house and report the value of their house(s). We restrict our analysis to the first home only, since the second home information is rather incomplete and difficult to match when the transaction involves the second home.<sup>16</sup> In each wave respondents are asked whether they own a house and to assess the market value of their house if it were to be sold at that point in time. In a different section, individuals are asked whether any transaction occurred since the last wave (buy or sell or both), the sale price of the house if there was a sale, and the purchase price of the new home. The information about the purchase price and the purchase year of a house is gathered from the heads of households in 1992. The purchase price is updated for those who bought a house in the latter waves. We compare the self-reported house value from period *t*-*1* and the selling price information obtained from period *t* if a sale occurred between survey waves.

Table 2 summarizes the characteristics of the financially knowledgeable homeowners and their assets. The columns break down the sample according to the selection criteria: whether or

<sup>&</sup>lt;sup>15</sup> It is natural to be concerned about the fact that the data we use focus on older American households. The main reason for this is of course the availability of the required information to perform a reliable analysis of the accuracy of self-reported home values in the United States. However, given the results we have discussed in section 2.1 regarding the price dynamics equation using both the AHS and the HRS, it seems to us that the lack of representativeness of the data should not be a major concern when interpreting our results. Another possible concern with the data is that the HRS is likely to be composed of individuals with much longer tenures in their homes than in the general population, suggesting that it is a sample biased towards over-estimation. We have re-estimated our main specifications restricting attention to those households with low tenure, and our results actually suggest the opposite, that is, those with lower tenure are more likely to overestimate the value of their properties. This is probably the result of the time period of analysis in which home prices increased substantially, apparently well beyond the owners' expectations.

<sup>&</sup>lt;sup>16</sup> In fact, even matching the sale of the first home is rather complicated since the question used asks about transactions on a first or second home. By matching the year in which the house was bought, which is asked both in the assets section and the capital gains section, and using information on whether individuals owned a second home, we have been able to pin down the property actually sold with a high level of accuracy, which we have verified observation by observation.

not individuals sell their house during the six waves, and for the sellers we divide between the full sample of sellers and the estimation sample. Note that given the longitudinal nature of the sample, homeowners may be observed up to six times, but are asked whether they sold a house they owned at only five of those occasions.

The criteria used to select the estimation sample are the following: from the 1,067 observations we have in the HRS that report valid positive selling prices on their homes and at the same time reported a valid value of a home they previously owned, we had to eliminate 204 observations because we did not have valid information about when they bought that home or when they sold it. Not having information on the first of those variables does not allow us to match the property exactly, and not having information on the second prevents us from using the difference in months between the time of the self-report of the value and the time they sold the property, which is an important variable in our econometric model.

We further lose 244 observations because of a missing lagged value of the home they are selling, which is used in the IV-GMM estimation as an exclusion restriction. Using the lagged value of the home essentially eliminates the sales occurred between the first two waves of the HRS (between 1992 and 1994), or sales by respondents who have not been interviewed for at least three waves. We also lose 20 observations because of missing home equity which is used in the probit equation in the Corrected IV-GMM specification. Finally, we also eliminate homeowners who report a sale price 0.2 times and less, or 5 times and more, than the self-reported house value (a total of 25 individuals). These extreme values occur mostly due to coding errors.<sup>17</sup>

<sup>&</sup>lt;sup>17</sup> Due to all these restrictions our estimated sample is reduced to the 574 observations used in the estimations. The results (available from the authors upon request) using the full sample of sellers (836 observations), but using OLS to avoid losing observations due to missing lagged endogenous variables, are quantitatively almost identical to those

As shown in Table 2, those who did not sell a house during the period in which they are observed, report lower home values, purchase prices, and capital gains. The average home tenure for sellers is shorter than for non-sellers, but it is still almost 18 years. On the other hand, non-sellers have less home equity, are less likely to be white, have lower educational attainments, and lower earnings. The marital status, average age and gender composition are similar for both sellers and non-sellers. The last column of the table provides the results of testing the equality of means hypothesis for each of the variables presented. Only for three variables we are able to reject the hypothesis of equality of means, and those are the capital gains accumulated or realized, the marital status of the head of the household and the gender of the head of the household. The first finding is of considerable interest to us since it suggests that the realized capital gains for those who sell their properties are of similar magnitude to the expected capital gains for those who have not sold their properties, presenting therefore unconditional evidence of fairly accurate estimates of what they are likely to obtain from selling their properties.

Looking at the sellers, we observe that self-reported home values are larger than selling prices by around 2% for the full sample, but only around 0.6% larger for the estimation sample. The estimation sample displays slightly longer tenure in the house that is eventually sold, and a slightly greater selling price.

### 4. Main Econometric Results

As discussed in Section 2, we consider three alternative estimators in order to test the accuracy of self-reported house values. We first estimate an OLS model where we have the original house value and the months between the report of the house value and the sale price on the right hand side, and the sale price as the dependent variable. We control for the months between these two

discussed in the next section. In particular, allowing for a possible selection from the full sample into the estimation sample did not have any effect on the coefficients reported in the paper.

reports in order to control for possible appreciation (or depreciation) in the house value as explained in Section 2. Our preferred specification is a regression without a constant term as there is no reason to believe that there will be a minimum sale price, and therefore a regression through the origin is justified. However, we also present the results when including a constant term. The latter estimates are almost identical and the constant term is not statistically significantly different from zero.

We then estimate an IV model specification via GMM using the previous period selfreported house value, and tenure on the house, as exclusion restrictions. Lastly, we estimate the same model controlling for selection into selling using a period by period probit equation approach. The selection equation contains the reported house value, household characteristics, and home equity.

Table 3 presents the results from the different specifications and estimation strategies. The OLS estimate of  $\beta$ , the coefficient on the self-reported house value, is 0.91. This point estimate implies an overestimation of around 10% in house values.

Given the endogeneity concerns we have discussed in section 2, which have the source on unobserved heterogeneity, and the underlying dynamics of real estate prices, we estimate an IV specification, which as discussed above, uses the tenure on the house and the lagged house value as exclusion restrictions. Both the test of weak instruments and the overidentification test indicate that we have valid instruments, and the fact that the standard errors actually decrease compared with the OLS results, indicates the robustness and strength of the procedure.<sup>18</sup> The IV

<sup>&</sup>lt;sup>18</sup> We follow the suggestions in Bound, Jaeger, and Baker (1995), Staiger and Stock (1997), Stock, Wright, and Yogo (2002), and Baum, Schaffer, and Stillman (2003), and find that we have robust instruments, with very large F statistics in the first stage of the IV procedure, considerably larger than the minimum value (around 10) suggested in Staiger and Stock (1997), and also discussed in Stock, Wright, and Yogo (2002), as a good rule of thumb to check whether we are in the presence of weak instruments. Also, the model is overidentified, which allows us to test whether our instruments are exogenous with respect to the error term in the structural equation. A rejection of this

results suggest a slightly lower degree of overestimation, since  $\beta$  is estimated to be 0.9404, implying an overestimation of more than 6%. The coefficient is not significantly different from 1 at conventional significant levels, but the p-value of the hypothesis that the coefficient is larger or equal to 1 is 0.136, which suggest that we cannot reject the hypothesis that the estimated slope is larger or equal to 1 at the 10% level of significance, which is acceptable taking into account the very conservative computation of the standard errors, in order to make them robust to heteroskedasticity and autocorrelation.<sup>19</sup>

Given our discussion in section 2 regarding the link between our estimated parameter of interest and the estimates of the slope of the price dynamics equation in equation (6) presented in Table 1, we can provide a range of values for our estimated accuracy measure. Given that using the AHS the autoregressive term in the price dynamics equation is estimated to be 1.016, with a 95% Confidence Interval that ranges from 0.995 to 1.038, we can report that the implied overestimation in housing prices is on average 8%, with a probable range from 5.8% to 10.4%.<sup>20</sup>

test would suggest that the instruments are either not truly exogenous or they should be included in the main regression of interest. In all cases we cannot reject the overidentifying restrictions. One possible explanation for the smaller standard errors in the IV specification, is that the linear model is problematic given the likely non-symmetric error distribution of housing prices, making more difficult the inference in such a model. IV while still within the class of linear models exploits the non-linearity coming from the instrument set, and seems to improve the efficiency of the estimated model.

<sup>&</sup>lt;sup>19</sup> If we use as exclusion restriction the difference between the twice lagged self-reported home value and the three times lagged report, the  $\beta$  is estimated to be 0.898, but the standard error almost doubles from 0.051 to 0.096. At the same time the F statistic to test the strength of the instruments goes down from over 288 to just around 22. These and other sensitivity analysis results are available from the authors upon request.

<sup>&</sup>lt;sup>20</sup> It is possible to argue, and we thank an anonymous referee for making this point to us, that our specifications actually capture a lower bound of the overestimation with respect to the expected price they hope to receive. The reason is that when asked to assess the value of their property they might be giving us the expected offer they hope to receive, while in reality the selling price will be the maximum of the distribution of offers they will receive. If this is true, what we find is that if they overestimate the selling price by at least 6% they might be overestimating the expected price by considerably more. However, there is no way of knowing exactly what they are reporting, it could be the median, or it could be that they give us the maximum of that distribution. The same referee also points out that if we believe the households are reporting the selling price net of transaction fees maybe the overestimation is actually much smaller. While reasonable, there is nothing in the questionnaire to suggest that households would first report the expected price including transaction fees and then report the selling price net of these fees.

Accounting for selection, we find the coefficient of the inverse mills ratio to be statistically insignificant, suggesting that there is no evidence that sellers differ from non-sellers in unobservable ways.<sup>21</sup> While the coefficient for reported house values increases slightly, the standard errors also increase.

In light of these results, and after performing an exogeneity test robust to violations of the conditional homoskedasticity assumption to assess the appropriateness of the IV specification versus the OLS (see Hayashi (2000), and Baum, Schaffer, and Stillman (2007)), our preferred estimates are the IV results, since we can reject the hypothesis that the reported home values can be taken as exogenous to the price process.

# The Role of Unrealized Capital Gains and the Original Price Paid in Assessing the Accuracy of Housing Wealth

In this section, we investigate whether the two components of the self-reported house value, the original price of the house and the capital gains, play different roles in predicting the market value of a property. The measure of the unrealized capital gains is obtained by subtracting the self-reported original purchase price from the self-reported value of the home.<sup>22</sup>

We re-estimate the models discussed above, substituting the original price and the (unrealized) capital gains for the self-reported house value.<sup>23</sup> For individuals who accurately assess the market value of their properties, we would expect that both coefficients equal to one.

 <sup>&</sup>lt;sup>21</sup> In a related context but estimating a different type of home sale price equation, Ihlanfeldt and Martínez-Vázquez (1986) also find no evidence of sample selection bias when estimating an equation of sale prices.
 <sup>22</sup> Unrealized capital gains are inherently risky, especially when accumulated in a lumpy asset such as housing. This

<sup>&</sup>lt;sup>22</sup> Unrealized capital gains are inherently risky, especially when accumulated in a lumpy asset such as housing. This issue has received relatively little attention from researchers, even though some prominent policy makers, like former Chairman of the Federal Reserve Alan Greenspan (2002), emphasized the need for further disaggregation in the analysis of household portfolios, with special attention to the differential behavior implied by realized and unrealized capital gains.

<sup>&</sup>lt;sup>23</sup> The expected capital gains will be heavily time variant as we do not adjust for inflation and the original purchase price may rather be low. Adjusting for inflation, though, creates additional measurement error. Moreover, philosophically there is no reason to call the difference between expected price and the adjusted purchase price as capital gains since there is no reason to believe that house prices will always keep up with the inflation. Nevertheless, we specify additional models adjusting the original purchase price for inflation. The results do not differ in any significant way from the ones reported here.

The presence of inaccuracy translates into a simple restriction that at least one of the coefficients has to be less than one. While on statistical grounds there is no way to determine which one will be less than one, on theoretical grounds we expect the capital gains effect to be less than one due to the fact that individuals are unlikely to set their reservation selling price below the original nominal price they paid on the property, implying a coefficient associated with the original price variable of no less than one. This means that individuals use the original price as a reference point when determining what offers to accept. This interpretation is in line with the discussions and findings of Genesove and Mayer (2001), who argue that loss aversion on the part of the potential sellers, results in a correlation between the selling price and the original price of the property.<sup>24</sup>

The results are presented in Table 4. The estimates suggest that homeowners are, on average, much less accurate with respect to their assessment of the role of capital gains for the value of the house compared to the role of the purchase price. Specifically, the marginal effect of the capital gains variable is estimated to be around 0.92, indicating that homeowners may significantly overestimate the contribution of the capital gains on the sale price. Based on our conservative estimates of the standard errors, the p-value of the hypothesis that the coefficient is larger or equal to 1 is 0.095, giving us statistical confidence in our point estimate of the effect of the capital gains.

On the contrary, the original purchase price is reflected almost one to one in the selling price; the corresponding coefficient is estimated to be 0.999. This result is consistent with the

<sup>&</sup>lt;sup>24</sup> For example, if owners base the expected rate of appreciation of their house on the reported price change of the median (or average) home purchased in their region, then they would likely end up overestimating their capital gains since the median home ages relatively less because of the renewal of the housing stock. Another source of possible over- or underestimation that would be reflected in the capital gains measure is a systematic misperception among owners of the value added by certain common updates to the house such as a new roof or a remodeled kitchen.

idea that homeowners are unlikely to accept offers below the original priced paid on the properties.<sup>25</sup>

The latter result suggests a possible role for business cycle effects on the accuracy of the estimates through the characteristics of the period in which the household bought the property they eventually sell. For example, those who bought during a buyer's market (maybe due to their expectations of price appreciation or their household characteristics) might tend to eventually underestimate the value of their properties if they later sell in comparatively better times, while the opposite would be true for those who bought during boom years. The next section explores this issue in some detail.

### 5. The Accuracy of Self-Reported Housing Wealth and the Business Cycle

Given the characteristics of our data on house purchases and house sales, we observe considerable heterogeneity in the timing of the purchase of the homes subsequently sold, but much less heterogeneity in the timing of the sale. Specifically, we observe sales that took place between 1994 and 2002, while the period of purchases on these properties spans from 1955 to 2000. This information enables us to explore whether the timing of the purchase, and the market conditions at that time, could have lasting effects on the accuracy of the individual in reporting the value of their homes. These effects can have two sources; one is how expectations over future values might be forming differently over the business cycle, and second it could be that the characteristics of buyers over the cycle might be evolving in a manner consistent with the evolution of the accuracy measures. These two explanations are very much connected, and we discuss the evidence we find in both fronts.

<sup>&</sup>lt;sup>25</sup> The joint hypothesis that both coefficients are equal to 1 cannot be rejected at standard levels of statistical significance, this suggests that while the point estimates indicate a differential accuracy between capital gains and original prices, given the precision of the estimates we cannot reject the joint hypothesis that they are accurate in both measures.

Figure 1 illustrates the high (negative) correlation between nominal and real interest rates and the number of home sales in the United States.<sup>26</sup> In fact the correlation coefficient between the historical series of total home sales and nominal interest rates is negative 0.59, and with the real interest rates is negative 0.31. This correlation is especially strong up to the mid-1990s.<sup>27</sup> After that the boom in the housing market took over, fueled by an unprecedented availability of sophisticated (and risky) mortgage products. The latter included interest only mortgages, the ability to make the down payment thanks to an automatic second mortgage on the property, and the growth of subprime loans with risk-based adjustments of the interest rates. There is mounting evidence that the availability of these risky conditions was fueled by the ability of banks to securitize the loans, as recently discussed in Keys et al. (2008), Mian and Sufi (2008), and Hampel, Schenk, and Rick (2008). We note that the correction in the home sales figures, which started in 2006 and has continued during 2007 with a drop of 13% in home sales, seems to be bringing this relationship more in line with the historical trend.

The correlation between interest rates, borrowing costs, and housing prices is well documented (Harris (1989), Reichert (1990), Poterba (1991), Englund and Ioannides (1997), Sutton (2002), and Tsatsaronis and Zhu (2004)),<sup>28</sup> and while its correlation with home sales has been much less discussed, there is a long tradition in economics (Sims (1980), and Stock and Watson (1989)) that supports the predictive power of interest rate measures with respect to the

<sup>&</sup>lt;sup>26</sup> The nominal interest rate reflects the Federal Funds Rate historical annual series published by the Board of Governors of the Federal Reserve System (http://www.federalreserve.gov/releases/h15/data.htm). The real interest rate is computed as the nominal interest rate minus the CPI reported by the Bureau of Labor Statistics in that year. Data on home sales and home prices come from the U.S. Statistical Abstract 2008 online edition published by the U.S. Census Bureau (http://www.census.gov/compendia/statab/) Home sales are the result of the sum of new-home sales and existing-home sales, while home prices are for existing home-family homes sold in a given year. For 2007 we use the data provided by the National Association of Realtors (www.realtor.org).

<sup>&</sup>lt;sup>27</sup> In fact if we restrict attention to the 1991-2001 period, which coincides with the period in which we observe households selling their properties in the HRS, this correlation reverses signs, and is positive 0.2, since it was a period of mostly increasing interest rates and increasing home sales. <sup>28</sup> The historical series of prices we use shows a correlation of negative 0.44 with the nominal interest rate.

evolution of the economy. For example, Bernanke (1990) shows how the interest rate measure we have used here, the Federal Funds Rate, is a good predictor of a large number of indicators of the real economy. More recently, Mishkin (2007), and Taylor (2007) have discussed the link between monetary policy and the housing market. Interestingly, home sales and home prices have had a strong historical relationship since the late 1960s (see Figure 2, which shows a correlation of 0.93), and this has been especially strong since the mid-1990s.<sup>29</sup> Only during the recessions of the early 1980s and early 1990s, we saw a break in the acceleration of prices resulting from the drop in home sales in those periods.

The evidence from Figures 1 and 2 supports using the nominal interest rate as a measure of the business cycle of the housing market. To investigate the relationship between the business cycle and the self-reported home values, we estimated additional specifications of the models discussed above. First, we introduced business cycle measures (interest rates and macroeconomic conditions in the year of the purchase) as additional regressors in the models estimated in the previous subsection. The results were essentially unchanged, suggesting that the self-reported housing value already accounts for that variation. Then we re-estimated our preferred specifications, dividing the sample depending on the year of purchase of the property eventually sold, and compared those results with the evolution of the business cycle.

<sup>&</sup>lt;sup>29</sup> In the 1990s this correlation reached 0.95. This should not come as a surprise since housing starts have also followed the same trend, as discussed in the report by the Joint Center for Housing Studies (JCHS (2007)). Housing starts dropped more sharply during 2006, and the latest figures indicate that the drop continued during 2007. At the same time, the proportion of vacant houses (both rental, and homeowner vacancy rates), out of the total housing inventory were near their all-time high at the end of 2006 and the end of 2007. As discussed by Glaeser, Gyourko, and Saks (2005) both supply and demand matter when studying the dynamics of the housing market, since limits on supply will fuel price increases in the presence of strong demand. Glaeser and Gyourko (2007) present a dynamic rational expectations model of the housing market to explain the evolution of quantities and prices in this market. Notice as well, that the home ownership rate dropped during 2007, and in the fourth-quarter stands at a seasonally adjusted 67.7%, the lowest rate since the second quarter of 2002. (U.S. Census Bureau, http://www.census.gov/hhes/www/housing/hvs/hvs.html)

In Figure 3, we present the results of this exercise. We plot estimates for every year between 1960 and 1998. The graph presents the estimate of  $\beta$  in equation (5) (using IV) for the purchases by each of the calendar years, where the first coefficient refers to purchases before or in 1960. As we move forward in time, the coefficient reported is the result of larger and larger number of observations, and by the time it gets to 1998 it includes essentially all the observations and therefore is almost equal to the one reported in the third column of Table 3. Our results are robust to this particular way of presenting how the accuracy estimate evolves over time. Alternative characterizations, one of which we use in later figures, provide essentially the same pattern. From the graph it is quite clear that with the exception of a few observations in the late 1990s the level of accuracy of the self-assessed value of the house moves in a fairly narrow range, suggesting fairly accurate estimates.

We also plot in the same figure the prevalent nominal interest rate in the economy in that year. The graph shows a strong positive correlation between the evolution of our estimates and the interest rate; the correlation coefficient between the series of our estimates and the interest rate is 0.566. In fact, a regression of our 39 estimated coefficients on the series of interest rates and a constant, delivers an  $R^2$  of 0.32, and a very significant positive coefficient on the interest rate measure.<sup>30</sup> Notice that the increasing trend of the interest rates up to the early 1980s translates in a trend towards an eventual decrease in overestimation of the properties, and in some periods towards a slight eventual underestimation of the house values. The 1990s, a time of mostly falling interest rates is correlated with a trend towards overestimation of housing values.

Figures 4 and 5 further support the evidence of the counter-cyclicality of the accuracy estimates (or cyclicality of the presence of overestimation): Periods of declining median

 $<sup>^{30}</sup>$  The regression coefficients imply that a one percent increase in the nominal interest rate, increases the  $\beta$  coefficient by 0.0119, from a constant estimated to be 0.8741.

household income (measured by the 5-year moving average of the growth of household income) and active expanding monetary policy (evident from the 5-year moving average of the growth in nominal interest rates) are associated with more accuracy in the estimation (and even underestimation) of the value of the properties. One likely explanation for this evidence is portrayed in Figure 6, where we plot the trends in the growth of housing prices over the last decades. Those who bought during a slowing housing market could have lower appreciation expectations, which could end up being more realistic at the time of the sale, or even pessimistic. In Figures 4 to 6, the estimates of  $\beta$  are the result of using the purchases in the 5 years before each of the calendar years shown.

This interpretation of the results is consistent with the link between nominal interest rates and the formation of housing prices appreciation expectations emphasized by Harris (1989), and more recently by Mishkin (2007). Moreover, it is in broad agreement with the relationship between states of the economy, the housing market, and housing price appreciation expectations discussed in Case and Shiller (1988), where good economic times (housing booms) are associated with very optimistic expectations of buyers regarding the evolution of housing prices.

In addition to a possible lasting effect of the housing cycle on the expected pace of home appreciation, the cyclical nature of the accuracy may also reflect changes in the composition of buyers during the business cycle, with richer more educated buyers being the ones entering (or re-entering) the market in rougher economic times. While the work of Wolfe (1984) comparing buyers in 1974 (a housing market trough) to those in 1980 (close to a peak), suggests few significant differences in basic demographics such as age, marital status, gender or race, once demographic trends are accounted for, we find in our data that those who bought during more difficult economic times, especially the early 1980s, tend to be more educated, with an 80% of

them having a college degree or more, compared with less than 60% during other periods. Given the correlation of education with income and wealth, this is in line with the discussions in Harris (1989). However, the evidence regarding the role of compositional effects in explaining the evolution of our accuracy estimates is not very strong, given that if we restrict attention in our estimation sample to those with higher education (or higher earnings) we find that they tend to overestimate the value of their homes slightly more, pointing more in the direction of the differential expectation formation over the cycle as an explanation for the evidence we have presented in this section.

This suggests that in good economic times there is a larger number of buyers who are (eventually) overly optimistic regarding how much their properties are worth. This is precisely what is believed to have happened since the beginning of this decade and until 2005-2006, when a wave of buyers (many of them first-time owners, which pushed the homeownership rates to historical highs in the 2003-2006 period) responding to easy credit conditions, and with possibly overly optimistic expectations about the evolution of house prices, planted the seed of the current mortgage crisis in the United States by accepting mortgage terms that were set to explode in the short to medium run.

### 6. Conclusions

For most Americans, in particular those with low and medium levels of income, their homes are their main asset, and many important decisions they make through their lives cannot be analyzed without thoroughly understanding how to appropriately measure this source of wealth. As real estate prices have become more volatile, it has become imperative that we study the investment component of housing wealth. This is the first study to test, within an econometric framework, the accuracy of one of the most important wealth measures, the self-reported house value, from sales data.

Our results show that homeowners, on average, overestimate the value of their properties by between 6% and 10%. We also find that the overestimation is mostly related to capital gains, while owners tend to accurately translate the original price that they paid for the house into the home's current market value.

There is, however, considerable variation depending on when they bought their homes. This points to the presence of persistence of the economic fundamentals surrounding the time that individuals decide to purchase a home at a given price, which end up reflecting in the selfassessed valuation of that property close to the time of the sale.

While most individuals overestimate the value of their properties, individuals who bought during more difficult economic times tend to be more accurate, and in some cases even underestimate the value of their houses. We find a strong correlation between accuracy and the economic conditions (measured by the prevalent interest rate, the growth of household income, and the growth of median housing prices) at the time of the purchase of the property. Those who bought during tougher economic times are, on average, more accurate in their assessments.

Our results provide some explanations for the difficult situation currently faced by a growing number of homeowners. The pattern that we document is consistent with the buildup of unrealistically optimistic expectations regarding the rate of home price appreciation among individuals who bought in good economic times, and times of loose credit. In turn, these individuals take on risky financial commitments that make them more dependent on price appreciation to build equity in order to accommodate an adverse event such as an increase in interest rates.

Our underlying methodology can be extended to analyze many other components of households' portfolios that may also be affected by the overestimation of capital gains, including stock market wealth, real estate investments, and even pension wealth.

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## Table 2: Summary Statistics

	Sellers				Non-Seller	`S	P-value of the test of	
	Full S	Sample	Estimatio	n Sample			Equality of means between	
Variable Names	Mean	St. Dev.	Mean	St. Dev.	Mean	St. Dev.	Estimation sample and non-sellers	
							H <sub>A</sub> is non-zero Difference	
Selling Price	140,022	114,673	148,831	126,007				
Self-Reported House Value	143,199	108,510	149,722	115,791	121,463	111,414	0.000	
Original Purchase Price	79,929	85,219	83,492	91,584	55,841	74,004	0.000	
Capital Gains	63,269	75,570	66,230	77,664	65,621	84,401	0.8645	
House Tenure	17.41	11.30	17.46	11.48	21.36	11,43	0.000	
Home Equity	103,911	98,623	104,798	101,233	95,807	95,515	0.0277	
Bachelor's Degree	0.3779	0.485	0.405	0.491	0.28	0.448	0.000	
Professional Degree	0.1411	0.348	0.155	0.362	0.109	0.311	0.0005	
Married	0.726	0.446	0.73	0.44	0.747	0.435	0.373	
White	0.886	0.317	0.885	0.319	0.782	0.412	0.000	
Age	61.52	5.84	62.58	5.38	61.58	5.65	0.000	
Male	0.559	0.496	0.564	0.496	0.544	0.498	0.3352	
Earnings	87,820	113,314	85,5593	115,083	74,919	118,579	0.0336	
Number of Observations	8	36	57	74	17,89	9		

Tuble of The Heeditae, of Self Reported House ( alue,	Table 3:	The Accuracy	v of Self-Rep	orted House	Values
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Dependent Variable: Sale Prices	OLS		OLS, no constant		IV-GMM		Corrected IV-GMM	
	Coeff.	St. Err.	Coeff. St. Err.		Coeff.	St. Error	Coeff.	St. Error
Self-Reported House Value	0.9066	0.109	0.9139	0.0784	0.9404	0.0541	0.9607	0.0908
Months between the report and the sale	761.14	487.02	902.41	567.78	634.9	431.9	686.71	457.6
Constant	3,553	17,185	,185 -		-		_	
Inverse Mills ratio	-		-		-		-1,686.9	6,908.5
Adj. R-squared	0.7		0.8748		-		-	
Test of over-identifying restrictions	-		-		Cannot Reject, P-val.=0.79		Cannot Reject, P-val.=0.92	
Test of weak instruments	-		-		Reject, F(2,571)=230.25		Reject, F(2,570)=56.93	
Number of Observations	574		574		574		574	

### Table 4: The Role of Capital Gains and Original Purchase Price

<b>Dependent Variable: Sale Prices</b>	OLS		OLS, no constant		IV-GMM		Corrected IV-GMM		
	Coeff.	St. Err.	Coeff. St. Err.		Coeff.	St. Error	Coeff.	St. Error	
Expected Capital Gains	0.8054	0.121	0.8124 0.096		0.924	0.0579	0.874	0.0922	
Original Purchase Price	0.977	0.116	0.9842 0.088		0.994	0.0896	0.909	0.0728	
Months between the report and	837.56	485.73	966.88	561.19	535.38	457.42	571.2	440.67	
the sale									
Constant	3,281	16,768	-		-		-		
Inverse Mills ratio	-		-		-		3,559.4	5,581.8	
Adj. R-squared	0.7070		0.8774			-		-	
Test of over-identifying	-		-		Cannot Reject, P-val.=0.3		Cannot Reject, P-val.=0.35		
Restrictions									
Test of weak instruments	-		-		Reject, F(2,570)=283.04		Reject, F(2,569)=90.49		
Number of Observations	57	'4	574		574		574		



Figure 1: Interest Rates and Home Sales in the U.S.: 1960-2007

Figure 2: Home Sales and Home Prices in the U.S.: 1968-2007





Figure 3: Estimated β coefficient and confidence bands from Equation (5) and Interest Rates

Figure 4: 5-year Moving Average of estimated  $\beta$  coefficients and 5-year Moving Average of the growth in Median Household Income in the United States



Figure 5: 5-year Moving Average of estimated  $\beta$  coefficients and 5-year Moving Average of the growth of Nominal Interest Rates



Figure 6: 5-year Moving Average of estimated  $\beta$  coefficients and 5-year Moving Average of the growth in Median Housing Prices in the United States



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