

# CentER for Economic Research

8414

## No. 9326

# Infant Industry Protection with Learning-by-Doing

by Theodore To

May 1993

ISSN 0924-7815

44

### Infant Industry Protection with Learning-by-Doing

Theodore To'

CentER for Economic Research Warandelaan 2, P.O. Box 90153 5000 LE Tilburg, The Netherlands

ABSTRACT: I use a simple two-period learning-by-doing model to examine optimal home country protection policy. In some cases, the home government will impose an import ban to protect the home firm from foreign competition. On the other hand, very often, a protective tariff provides greater welfare than when an import ban is imposed. In these cases, the first period equilibrium tariff is greater than the static Brander and Spencer "profit shifting tariff." Protection either in the form of a tariff or an import ban encourages the home firm to invest in current output which reduces future costs. Protection can be valuable because the home firm does not consider the effect of its current learning on future consumer surplus. Tariffs can thus encourage the growth of infant industries while benefiting consumers in the long run. In addition, the home firm can have an incentive to "dump" its product if the potential cost savings are sufficiently valuable.

<sup>&</sup>lt;sup>\*</sup>I thank Jim Cassing, Jim Harrigan, Don Rousslang and seminar participants at the 1992 Western Economic Association International meetings for helpful comments and suggestions. Much of the work for this paper was done while I was at the University of Pittsburgh.

### 1. Introduction

Learning-by-Doing is significant in many high technology industries. These industries include the production of airframes, nuclear power technologies, chemical processes and semi-conductors.<sup>1</sup> Each of these industries can be described as being imperfectly competitive. Despite the existence of oligopolistic industries with learning-by-doing, almost all of the earlier discussions of learning-by-doing and the infant industry argument have used a perfectly competitive framework.<sup>2</sup> Since learning-by-doing is significant in many oligopolistic industries, the infant industry argument naturally should also be examined in such a framework.

In their paper on learning-by-doing and market structure, Dasgupta and Stiglitz (1988) examine the infant industry argument by considering the welfare effects of a temporary import ban in an imperfectly competitive learning-by-doing industry. They assume that there is a single domestic firm and that foreign production is competitive and has exhausted it's learning potential. They show that under many circumstances, a temporary import ban is welfare enhancing. One problem with their analysis is that in general, one would not typically expect an industry to have a structure where home production is undertaken by a single domestic firm while foreign production is competitive. There is no a priori reason to believe that domestic production is concentrated among a few firms and that foreign production is composed of many firms. On the contrary, one would expect that both home and foreign production would have similar characteristics. A second problem is that there is no need for the home government to impose a policy as extreme as an import ban. Indeed, it is clear that tariffs are a better instrument for promoting domestic welfare. Not only do tariffs discourage foreign production but they also extract rents from the foreign producers. Furthermore, allowing the use of tariffs does not preclude the use of an import ban - an import ban is equivalent to the imposition of a prohibitive tariff.

I extend Dasgupta and Stiglitz's analysis by considering optimal protective tariff policy when the industry is oligopolistic. I allow the use of a tariff rather than an import ban and foreign production is no longer assumed to be competitive. The model is a simple twoperiod model of learning-by-doing where production in the first period reduces costs in the

<sup>&</sup>lt;sup>1</sup>See Alchian (1963), Baldwin and Krugman (1988), Leiberman (1984) and Zimmerman (1983).

<sup>&</sup>lt;sup>2</sup>See Bardhan (1971), Clemhout and Wan (1970) and Succar (1987).

second. In some cases, as in Dasgupta and Stiglitz, the home government will impose a prohibitive tariff (import ban) to protect the home firm from foreign competition. On the other hand, very often, a protective tariff provides greater welfare than when an import ban is imposed. In these cases, the first period equilibrium tariff is greater than the static Brander and Spencer (1984) "profit shifting tariff." Furthermore, if the discounted cost savings are sufficiently large, the home firm will dump its product, even though it is already benefiting from a protective tariff.

#### 2. The Model

In each period t=1,2, the home government chooses a tariff to be imposed on the foreign firm. Each firm then simultaneously chooses its output level given the tariff.

Profits for firm H and firm F in period t are:

$$\pi_{t}^{H} = [p(q_{t}^{H} + q_{t}^{F}) - c_{t}^{H}]q_{t}^{H}$$
(1)

$$\pi_{t}^{F} = [p(q_{t}^{H} + q_{t}^{F}) - T_{t} - c_{t}^{F}]q_{t}^{F}$$
(2)

H and F denote the home and foreign firms and i denotes either H or F. Firm i's period t output is  $q_t^i$ .  $T_t$  is the period t tariff. The good is assumed to be homogeneous with linear inverse demands  $p=a-b(q^H+q^F)$ . Period 1 unit costs are  $c_1^i=c^i$ . F's period 2 unit cost is  $c_2^P=c_1^F$ . H's period 2 unit cost is  $c_2^H=c_1^H-dq_1^H$ . The foreign firm's unit cost does not change with experience and represents an established firm which has exhausted its learning potential. The home firm's unit cost is linear and downward sloping. In a two period model, a linear learning curve is a reasonable approximation of more general learning curves where the slope of the home firm's unit cost represents its current learning potential. The smaller d is, the closer the home firm is to exhausting its learning potential. Assume that  $a > max_ic^i$ .

Following standard practice, I use total surplus as the measure of home welfare. Home country welfare (W) is thus the sum of home profits ( $\pi^{H}$ ), consumer surplus (S) and tariff revenues (R).

$$W_t = \pi_t^H + S_t + R_t \tag{3}$$

where tariff revenue is  $R_t = T_t q_t^F$  and net consumer surplus is  $S_t = \int_0^{q_t} p(\hat{q}) d\hat{q} - p(q_t) q_t$  when

total output is q.

Firms and governments have common discount factor  $\beta$ . The assumption of a

common discount factor is not crucial and I discuss later the results when discount factors are assumed to be asymmetric.

#### 3. The Optimal Tariff

The sub-game perfect equilibrium is solved in four stages: i) the period 2 Cournot outputs, ii) the period 2 optimal tariff, iii) the period 1 Cournot outputs and iv) the period 1 optimal tariff. Each successive stage is solved using the solutions from the previous stages. Computation of the equilibrium is simplified by expressing d as a scalar multiple of b  $(d=\lambda b)$ .

In period 2, the outputs are the standard Cournot outputs with linear demands and constant unit costs.

$$q_{2}^{H} = \begin{cases} 0 & \text{if } a + c^{F} + T_{2} \leq 2c_{2}^{H} \\ \frac{a - 2c_{2}^{H} + (c^{F} + T_{2})}{3b} & \text{if } a + c^{F} + T_{2} \geq 2c_{2}^{H} \\ \frac{3b}{3b} & \text{and } a + c_{2}^{H} \geq 2c^{F} + 2T_{2} \\ \frac{a - c_{2}^{H}}{2b} & \text{if } a + c_{2}^{H} \leq 2c^{F} + 2T_{2} \end{cases}$$
(4)

$$q_{2}^{F} = \begin{cases} 0 & \text{if } a + c_{2}^{H} \le 2c^{F} + 2T_{2} \\ \frac{a - 2(c^{F} + T_{2}) + c_{2}^{H}}{3b} & \text{if } a + c_{2}^{H} > 2c^{F} + 2T_{2} \\ \frac{a - 2c^{F}}{3b} & \text{and } a + c^{F} + T_{2} > 2c_{2}^{H} \\ \frac{a - c^{F}}{3b} & \text{if } a + c^{F} + T_{2} \le 2c_{2}^{H} \end{cases}$$
(5)

Notice that since  $c_2^H$  depends on  $q_1^H$ , period 1 tariff policy and output affects period 2 output, profits and welfare.

The optimal period 2 tariff can be found by maximizing

$$W_{2} = \pi_{2}^{H} + S_{2} + R_{2}$$
  
-  $b(q_{2}^{H})^{2} + \frac{b(q_{2}^{H} + q_{2}^{F})^{2}}{2} + T_{2}q_{2}^{F}$  (6)

where  $q_2^H$  and  $q_2^P$  are as in (4) and (5). Solving this problem yields  $T_2 = (a-c^P)/3$ . Substituting this into (4) and (5) yields the period 2 equilibrium outputs.

$$q_{2}^{H} = \begin{cases} 0 & \text{if } 2a + c^{F} \leq 3c_{2}^{H} \\ \frac{2(2a - 3c_{2}^{H} + c^{F})}{9b} & \text{if } 2a + c^{F} > 3c_{2}^{H} \\ \frac{9b}{and} & a + 3c_{2}^{H} > 4c^{F} \\ \frac{a - c_{2}^{H}}{2b} & \text{if } a + 3c_{2}^{H} \leq 4c^{F} \end{cases}$$
(4')

$$q_{2}^{F} = \begin{cases} 0 & \text{if } a + 3c_{2}^{H} \le 4c^{F} \\ \frac{a + 3c_{2}^{H} - 4c^{F}}{3b} & \text{if } a + 3c_{2}^{H} > 4c^{F} \\ \frac{a - c^{F}}{3b} & \text{and } 2a + c^{F} > 3c_{2}^{H} \\ \frac{a - c^{F}}{3b} & \text{if } 2a + c^{F} \le 3c_{2}^{H} \end{cases}$$
(5')

In period 1, firms maximize total discounted profits taking into account how their choice of period 1 output affects period 2 profits.

$$\boldsymbol{\pi}^{i} = \boldsymbol{\pi}_{1}^{i} + \boldsymbol{\beta} \boldsymbol{\pi}_{2}^{i} \tag{7}$$

Taking into account the period 1 optimal tariff  $T_1$  (to be derived later), there are five possible equilibrium outcomes which depend on the 'value of learning' and the initial cost configurations. These outcomes are summarized in table 1. A '+' indicates parameters are such that the firm in question produces positive output and a '0' indicates zero output. All of the other possible outcomes can be eliminated by examining the inequalities which must hold from (4') and (5'). For example, if the home firm produces in the second period but not in the first, there are no learning effects and hence the equilibrium in each period must be the same as the static equilibrium. If the home firm does not produce in the first period then it must be that  $2a + c^P \le 3c^H$ . But if the produces in the second period then  $2a + c^P > 3c^H$ - a contradiction.

	Period 1		Period 2	
Case	Home Output	Foreign Output	Home Output	Foreign Output
I	+	+	+	+
П	+	0	+	+
III	+	+	+	0
IV	+	0	+	0
v	0	+	0	+

Table 1

Case II is when the home government finds it optimal to impose a prohibitive import tariff (import ban) on the foreign firm in period 1 while allowing the foreign firm to compete in period 2. This corresponds to Dasgupta and Stiglitz's result showing that an import ban can enhance domestic welfare. There are other possibilities, however, which their restriction of only considering the possibility of an import ban rules out. For example, it is generally not necessary to totally restrict imports in period 1. In cases I and III a protective tariff which does not prohibit period 1 imports is optimal. It may be that as in case III, that the protection afforded to the home firm allows it to reduce its costs by enough to drive the foreign firm out of the market in period 2.

I first solve for the equilibrium outputs, prices and tariffs in case I and then present the final solutions for the other cases which are solved for in a similar fashion. Firm F's first and second order conditions are the same as in period 2 since it is assumed to have exhausted its learning potential and its period 1 output has no effect on its period 2 profits. Firm H's period 1 output affects its period 2 profits and its first and second order conditions are as follows:

$$\frac{\partial \pi_{H}}{\partial q_{1}^{H}} - a - c^{H} - bq_{1}^{F} - \left(2b - \frac{8b\beta\lambda^{2}}{9}\right)q_{1}^{H} + \frac{8\beta\lambda}{27}(2a + c^{F} - 3c^{H}) = 0$$
(8)

$$\frac{\partial^2 \pi^H}{(\partial q_1^H)^2} - \frac{2b(9-4\beta\lambda^2)}{9} < 0$$
(9)

The home firm's second order condition holds if and only if  $\beta\lambda^2 < 9/4$ . This requires that the discounted potential cost savings should not be too large.

Using the first order conditions, I solve for each firm's reaction function.

$$q_1^H = \frac{27(a-c^H-q_1^F)+8\beta\lambda[2(a-c^H)-(c^H-c^F)]}{6b(9-4\beta\lambda^2)}$$
(10)

$$q_1^F - \frac{a - c^F - T_1}{2b} - \frac{1}{2} q_1^H \tag{11}$$

The home firm's reaction function is always steeper than its static counterpart and if the foreign firm's cost advantage  $(c^{H}-c^{F})$  is not too large relative the home firm's maximum profit margin  $(a-c^{H})$  then the intercept is also greater (compare to when  $\beta=0$ ).

Using the reaction functions to solve for output I get:

$$q_1^{H} = \frac{27(a+c^{F}+T_1-2c^{H})+16\beta\lambda[2(a-c^{H})-(c^{H}-c^{F})]}{3b(27-16\beta\lambda^2)}$$
(12)

$$q_{1}^{F} = \frac{27(a-2c^{F}-2T_{1}+c^{H})-8\beta\lambda[2(a-c^{H})-(c^{H}-c^{F})]-24\beta\lambda^{2}(a-c^{F}-T_{1})}{3b(27-16\beta\lambda^{2})}$$
(13)

As long as the foreign firm's cost advantage is not too large, the home firm increases its current output in order to reduce its future costs and become more competitive in period 2 (compare equation (12) to itself when there are no learning effects,  $\lambda=0$ ). An increase in home output necessarily forces the foreign firm to restrict its output.

In period 1, the home government chooses the tariff to maximize total discounted welfare, taking into account how this choice affects the firms' period 1 output choices and period 2 welfare.

$$W = W_1 + \beta W_2 \tag{14}$$

The first and second order conditions are:

$$\frac{\partial W}{\partial T_1} = \frac{3(243+64\beta^2\lambda^4)(a-c^{-F})+\beta\lambda(27+64\beta\lambda^2)[2(a-c^{-H})-(c^{-H}-c^{-F})]}{3b(27-16\beta\lambda^2)^2} - \frac{9\beta\lambda^2(23a-33c^{-F}+10c^{-H})}{b(27-16\beta\lambda^2)} - \frac{3(243-267\beta\lambda^2+64\beta^2\lambda^4)}{b(27-16\beta\lambda^2)^2}T_1 = 0$$
(15)

$$\frac{\partial^2 W}{(\partial T_1)^2} - \frac{3(243 - 267\beta\lambda^2 + 64\beta^2\lambda^4)}{b(27 - 16\beta\lambda^2)^2} < 0$$
(16)

It can be shown that both the home firm's second order condition and the government's second order condition holds if and only if  $\beta\lambda^2 < (267-3\sqrt{1009})/128 \approx 1.34$ . This also ensures that the denominator of (12) and (13) are always positive.

I solve (15) for  $T_1$  to get the home government's optimal period 1 tariff.

$$T_{1}^{**} = \frac{3(243+64\beta^{2}\lambda^{4})(a-c^{F})+\beta\lambda(27+64\beta\lambda^{2})(2a+c^{F}-3c^{H})}{9(243-267\beta\lambda^{2}+64\beta^{2}\lambda^{4})}$$
(17)  
$$-\frac{3\beta\lambda^{2}(23a-33c^{F}+10c^{H})}{243-267\beta\lambda^{2}+64\beta^{2}\lambda^{4}}$$

I substitute this into (12) and (13) to get period 1 output and then substitute the resulting outputs into period 2 output (4'), (5').

$$q_1^{H} - \frac{[2(a-c^{H})-(c^{H}-c^{F})](162+147\beta\lambda-72\beta\lambda^2-64\beta^2\lambda^3)}{3b(243-267\beta\lambda^2+64\beta^2\lambda^4)}$$
(18)

$$q_{1}^{F} = \frac{243(a-4c^{F}+3c^{H})-\beta\lambda(234-64\beta\lambda^{2})(2a+c^{F}-3c^{H})}{9b(243-267\beta\lambda^{2}+64\beta^{2}\lambda^{4})} + \frac{64\beta^{2}\lambda^{3}(a-c^{F})-\beta\beta\lambda^{2}(25a-32c^{F}+7c^{H})}{3b(243-267\beta\lambda^{2}+64\beta^{2}\lambda^{4})}$$
(19)

$$q_2^{H} - \frac{2[2(a-c^{H})-(c^{H}-c^{F})](81+54\lambda-40\beta\lambda^2-24\beta\lambda^3)}{3b(243-267\beta\lambda^2+64\beta^2\lambda^4)}$$
(20)

$$q_{2}^{\rm F} = \frac{81(a - 4c^{\rm F} + 3c^{\rm H}) - \lambda(54 - 24\beta\lambda^{2})(2a + c^{\rm F} - 3c^{\rm H})}{3b(243 - 267\beta\lambda^{2} + 64\beta^{2}\lambda^{4})} - \frac{\beta\lambda^{2}(187a - 307c^{\rm F} + 120c^{\rm H}) - 64\beta^{2}\lambda^{4}(a - c^{\rm F})}{3b(243 - 267\beta\lambda^{2} + 64\beta^{2}\lambda^{4})}$$
(21)

In case II, the period 1 tariff is prohibitive so period 1 foreign output is zero. This results in the following equilibrium period 1 home output and period 2 home and foreign outputs:

$$q_1^{\rm H} = \frac{27(a-c^{\rm H}) + 8\beta\lambda(2a+c^{\rm F}-3c^{\rm H})}{6b(9-4\beta\lambda^2)}$$
(22)

$$q_2^{\rm H} = \frac{2(2a+c^{\rm F}-3c^{\rm H})+3\lambda(a-c^{\rm H})}{b(9-4\beta\lambda^2)}$$
(23)

)

$$q_2^{\rm F} = \frac{6(a - 4c^{\rm F} + 3c^{\rm H}) - 9\lambda(a - c^{\rm H}) - 8\beta\lambda^2(a - c^{\rm F})}{6b(9 - 4\beta\lambda^2)}$$
(24)

In case III, the period 2 profit shifting tariff is prohibitive and so period 0 foreign output is zero. This results in the following period 1 tariff, home and foreign outputs and period 2 home output:

$$T_{1} = \frac{(12 + \beta^{2} \lambda^{4})(a - c^{\mathrm{F}}) + \beta \lambda(3 + \beta \lambda^{2})(a - c^{\mathrm{H}}) - \beta \lambda^{2}(5a - 9c^{\mathrm{F}} + 4c^{\mathrm{H}})}{36 - 23 \beta \lambda^{2} + 3\beta^{2} \lambda^{4}}$$
(25)

$$q_1^{\rm H} = \frac{(8-2\beta\lambda^2)(2a+c^{\rm F}-3c^{\rm H})+\beta\lambda(13-3\beta\lambda^2)(a-c^{\rm H})}{36-23\beta\lambda^2+3\beta^2\lambda^4}$$
(26)

$$q_{1}^{F} = \frac{4(a-4c^{F}+3c^{H}) -\beta \lambda(8-\beta \lambda^{2})(a-c^{H}) -\beta \lambda^{2}(7a-8c^{F}+c^{H}) +\beta^{2} \lambda^{4}(a-c^{F})}{b(36-23\beta \lambda^{2}+3\beta^{2} \lambda^{4})}$$
(27)

$$q_2^{\rm H} = \frac{(18 - 5\beta\lambda^2)(a - c^{\rm H}) + \lambda(4 - \beta\lambda^2)(2a + cF - 3c^{\rm H})}{b(36 - 23\beta\lambda^2 + 3\beta^2\lambda^4)}$$
(28)

In case IV, the tariffs in both periods are prohibitive so foreign output is zero. The home outputs are:

$$q_1^H - \frac{(a-c^H)(2+\beta\lambda)}{b(4-\beta\lambda^2)}$$
 (29)

$$q_2^H - \frac{(a-c^H)(2+\lambda)}{b(4-\beta\lambda^2)}$$
 (30)

Finally in case V, the foreign cost advantage is too great and the home firm does not produce in either period. Foreign output is  $(a-c^{P})/3b$  and the tariff is  $(a-c^{P})/3$  in both periods.

As long as both home and foreign outputs are positive in both periods, the home government will not prohibit foreign imports. To see when this is true, I first examine (18) and (21). It is easy to see that as long as the second order conditions are satisfied and 2(a- $c^{H}$ )  $\leq c^{H}-c^{F}$  then the home firm does not produce and case V is relevant. Hence the home firm will always produce in both periods as long as the foreign firm's cost advantage is not too large. Next, I examine the difference between the period 1 and 2 foreign outputs from case I in order to determine the conditions under which case II is relevant.

$$q_1^F - q_2^F = \frac{[2(a-c^H) - (c^H - c^F)]\lambda(162 - 243\beta - 57\beta\lambda - 72\beta\lambda^2 + 64\beta^2\lambda^2)}{9b(243 - 267\beta\lambda^2 + 64\beta^2\lambda^4)}$$
(31)

Assuming that the home firm produces  $(2(a-c^{H}) > c^{H}-c^{P})$  then for sufficiently large  $\beta$  and positive  $\lambda$ , this expression is always negative and  $q_{1}^{F} < q_{2}^{F}$ . In general,  $q_{1}^{F} < q_{2}^{P}$  whenever  $\beta$  and  $\lambda$  are large. This implies that as the foreign firm's cost increases, its period 1 output will be driven to zero faster than it's period 2 output. Therefore, for relatively large  $\beta$  and  $\lambda$  and moderately large  $c^{F}$ , case II is relevant. Similarly, for relatively small  $\beta$  and  $\lambda$  and moderately large  $c^{F}$ , case III is relevant. Obviously for sufficiently large  $c^{F}$  the foreign firm will not produce in either period and case IV pertains. These results are summarized in the following three figures. Figure 3.a is relevant for when  $\beta$  and  $\lambda$  are relatively large, figure 3.b is relevant for when  $\beta$  is large and  $\lambda$  is small and figure 3.c is relevant for when  $\beta$  and  $\lambda$  are both small. In these figures, the area above the diagonal is of the most interest since one would expect that a foreign industry which has exhausted its learning potential will have a lower cost than a domestic industry which has not exhausted its learning-potential.

#### {insert figures 3.a, 3.b and 3.c here}

#### 4. Results

First, it is of interest is examine whether or not learning-by-doing increases the incentive to protect the domestic firm. The benchmark I use is the optimal tariff from the static model  $(T^* = (a - c^F)/3)$ .<sup>3</sup> I compare the dynamic tariffs for the cases when both firms produce in period 1 (cases I and III). These cases are the ones of interest because in cases II and IV the tariff is not uniquely defined and in case V the home firm does not produce and hence discussion of protective policy is not relevant. The difference between the dynamic tariffs ((17) and (29)) and static tariff is:

$$T_{1}^{**} - T^{*} = \begin{cases} \frac{\beta\lambda(2a+c^{F}-3c^{H})(27+90\lambda+64\beta\lambda^{2})}{9(243-267\beta\lambda^{2}+64\beta^{2}\lambda^{4})} & case \ I\\ \frac{\beta\lambda((9+3\beta\lambda^{2})(a-c^{H})+4\lambda(2a+c^{F}-3c^{H}))}{3(36-23\beta\lambda^{2}+3\beta^{2}\lambda^{4})} & case \ III \end{cases}$$
(32)

The numerator is always positive as long as  $2a+c^p>3c^H$  (this is required for positive home production) and the denominator is positive as long as the second order conditions are satisfied. Furthermore, since the numerator is increasing in  $\lambda$  and the denominator is decreasing in  $\lambda$  (when the second order conditions are satisfied), this difference is increasing in  $\lambda$ .

### Proposition 1: When both firms produce in period 1, $T_1^* > T^*$ and $d(T_1^* - T^*)/d\lambda > 0$ .

This result depends on the fact that the foreign firm has completely exhausted its potential for learning. I discuss later how the result is affected if the foreign firm is not assumed to have exhausted its learning.

The intuition behind this result is that even though the home firm recognizes the effect of its output on its future profits, there is still an externality because it does not take into

<sup>&</sup>lt;sup>3</sup>An alternative benchmark is the optimal tariff when firms have foresight and governments behave myopically (the tariff which maximizes  $W_0$  from (14)). This alternative benchmark is strictly smaller than the tariff for the static model and hence if the static tariff is smaller than the dynamic tariff the alternative benchmark is also smaller than the dynamic tariff.

account how its current decisions affect future consumer surplus. For example, if the home firm to expands its output sufficiently, future prices are lower and hence future consumer surplus is higher. The home firm does not consider this when maximizing profits and therefore, provides the domestic government with an incentive to protect the domestic firm.

It is also of interest to consider whether or not there is an incentive for the domestic firm to dump, even though it is benefiting from protective domestic policies. Dick (1991) and Gruenspecht (1988) examine a duopoly trade model of learning-by-doing where there is no government intervention. They find that firms dump their product in the first period in order to reduce their future costs and to be more competitive in the second period. This can turn out to be true for the home firm even when it benefits from a protective tariff.

Again I examine the case when both firms produce in period 1. I substitute the outputs ((12) and (13) and (18) and (19)) into the inverse demand function to get the period 1 price. I then compute the period 1 profit margin.

$$p_{1}-c'' = \begin{cases} \frac{(2a+c^{F}-3c'')](486-207\beta\lambda-648\beta\lambda^{2}+128\beta^{2}\lambda^{3}+192\beta^{2}\lambda^{4})}{9(243-267\beta\lambda^{2}+64\beta^{2}\lambda^{4})} & case \ I \\ \frac{(8-6\beta\lambda^{2}+\beta^{2}\lambda^{4})(2a+c^{F}-3c'')-\beta\lambda(5-2\beta\lambda^{2})(a-c'')}{36-23\beta\lambda^{2}+3\beta^{2}\lambda^{4}} & case \ III \end{cases}$$

These expressions are negative, when the foreign firm's cost advantage is not too large and when  $\beta$  and  $\lambda$  are sufficiently large yet satisfy the second order condition. This is most easily demonstrated by considering the case when  $\beta = \lambda = 1$ . Hence the following proposition:

Proposition 2: When both firms produce in period 1,  $p_1 < c^H$  if and only if  $\beta$  and  $\lambda$  are sufficiently large.

The home firm prices below its unit cost if the discounted cost savings are valuable enough and if the foreign firm has exhausted its learning potential. Many countries define this type of behavior as dumping. The result is striking because, even though the home government imposes a protective tariff, the home firm still has an incentive to dump its product when the discounted cost savings are sufficiently large. Dick (1991) and Gruenspecht's (1988) dumping result occurs in a model where the home government does not impose a protective tariff.

#### 5. Concluding Remarks

This paper provides support for the infant industry argument when the industry is oligopolistic and when there is learning-by-doing. If the home firm's potential for learning is relatively large compared to the foreign firm and the foreign firm's cost advantage is not too large then the home government can improve welfare by imposing some type of protective policy. The protective policy that the home government uses can be either an import ban or a protective tariff. This protection result is due to the fact that the home firm does not internalize the affect of its first period decision on future consumer surplus.

Although protection may be beneficial to the home country, under some circumstances joint welfare of the two countries will be reduced. In particular, if the foreign firm has a cost advantage and the value of the home firm's potential for learning is small, joint optimal policy would not be to encourage home production since the foreign firm is the more efficient producer. In a general equilibrium setting where there is trade going in both directions, agreements to ban trade restrictions may be beneficial to both parties.

On the other hand, when one of the countries is an LDC, it may be that the foreign country would want to allow the home country to protect its infant industries in order to aid in the LDC's development, even though total world surplus is lower. This would help home country develope industries which can compete on the world market and would act as a North-South welfare transfer. A pure monetary transfer may not suffice if self-sufficiency is the eventual goal and development depends on some learning industries.

One of my assumptions is that the foreign firm has completely exhausted its learning potential. This is not crucial to my results. For example, the much more complicated equilibrium can be computed for the more general case where the foreign firm is still learning  $(c_2^P = c^P - d^P q_1^P \text{ and } c_2^P = c^H - d^H q_1^H)$ . The equilibrium tariffs and prices will be continuous functions of  $d^P$ . Since propositions 1 and 2 are true when  $d^P = 0$  they also hold as long as  $d^P$  is not too large. Hence with foreign learning, the propositions can be amended with the condition that the foreign firm should have sufficiently exhausted its learning potential.

Another assumption is that the government and firms have identical discount factors. With asymmetric discount factors, the dynamic tariff can be smaller than the static tariff if the government's discount factor is sufficiently small.<sup>4</sup> In this case, the home firm is more patient than the government and from the government's point of view, the home firm requires no further incentives to increase output.

Another possible policy tool for the domestic government would be domestic production subsidies. It can be argued that subsidies may be a superior tool because they would benefit first period consumer surplus as well as encouraging expanded domestic production. On the other hand, although tariffs decrease current consumer surplus, they also serve the purpose of protecting the home firm as well as extracting rents from the foreign firm. Without a detailed analysis, the conditions under which a subsidy is superior and those under which a tariff is superior cannot be determined, however, it is clear that a superior policy tool would be for the government employ both tariffs and production subsidies. Inclusion of these analysis might be interesting but would not alter the result that some form of protection might enhance the welfare of an individual country.

Finally, another possibility would be if the home government could initially commit to a long-term policy. It can be shown that, in this case, the protection result is even stronger. In case I (when both firms produce in both periods), the tariffs in both periods are strictly greater than the static tariff. The intuition is that the promise of protection in both periods, induces the home firm to further expand its first period output. Protection in the second period is more effective if second period costs are lower. This, however, raises the question of whether or not the home government can credibly commit to a long-term policy.

$$T_1^{**} - T^* = \frac{[2(a-c^H) - (c^H - c^F)]\lambda(243\beta^g - 216\beta^f + 162\beta^g \lambda - 72\beta^f \lambda + 64(\beta^f)^2 \lambda^2)}{9(243 - 27\beta^g \lambda^2 - 240\beta^f \lambda^2 + 64(\beta^f)^2 \lambda^4)}$$

where  $\beta^{\mathfrak{g}}$  and  $\beta^{\mathfrak{f}}$  are the government and firm discount factors. This is positive as long as  $\beta^{\mathfrak{g}}$  is not too small.

<sup>&</sup>lt;sup>4</sup>To demonstrate, consider case I. With asymmetric discount factors, the difference in the dynamic and static tariffs is:

#### REFERENCES

- Alchian, A., (1963), "Reliability of Progress curves in Airframe Production," *Econometrica*, 31, 679-693.
- Baldwin, R., 1969, "The Case Against Infant-Industry Tariff Protection," Journal of Political Economy, 77, 295-305.
- Baldwin, R. and P. Krugman, 1989, "Market Access and International Competition: A Simulation Study of 16K Random Access Memories," *Empirical Research in International Trade*, ed. R. Feenstra, MIT Press.
- Bardhan, P., 1971, "On Optimum Subsidy to a Learning Industry: An Aspect of the Theory of Infant-Industry Protection," *International Economic Review*, 12, 54-70.
- Brander, J. and B. Spencer, 1984, "Trade Warfare: Tariffs and Cartels," Journal of International Economics, 16, 227-242
- Clemhout, S. and H. Wan, 1970, "Learning-by-Doing and Infant Industry Protection," Review of Economic Studies, 37, 33-56.
- Dasgupta, P. and J. Stiglitz, 1988, "Learning-by-Doing, Market Structure and Industrial and Trade Policies," Oxford Economic Papers, 40, 246-268.
- Dick, A., 1991, "Learning-by-Doing and Dumping in the Semiconductor Industry," Journal of Law and Economics, 34, 133-159.
- Gruenspecht, H., 1988, "Dumping and Dynamic Competition," Journal of International Economics, 25, 225-248.
- Leiberman, M., (1984), "The Learning Curve and Pricing in the Chemical Processing Industries," *Rand Journal of Economics*, 15, 213-228.
- Succar, P., 1987, "The Need for Industrial Policy in LDC's--A Re-statement of the Infant Industry Argument," International Economic Review, 28, 521-534.
- Zimmerman, M., (1982), "Learning Effects and the Commercialization of New Energy Technologies: the Case of Nuclear Power," Bell Journal of Economics, 13, 297-310.



Figure 3.a -  $\beta$  and  $\lambda$  relatively large



Figure 3.b -  $\beta$  large and  $\lambda$  small.



Figure 3.c -  $\beta$  and  $\lambda$  relatively small.

# Discussion Paper Series, CentER, Tilburg University, The Netherlands:

(For previous papers please consult previous discussion papers.)

No.	Author(s)	Title
9160	R.M.W.J. Beetsma	Bands and Statistical Properties of EMS Exchange Rates: A Monte Carlo Investigation of Three Target Zone Models
9161	A.M. Lejour and H.A.A. Verbon	Centralized and Decentralized Decision Making on Social Insurance in an Integrated Market Multilateral Institutions
9162	S. Bhattacharya	Sovereign Debt, Creditor-Country Governments, and Multilateral Institutions
9163	H. Bester, A. de Palma, W. Leininger, EL. von Thadden and J. Thomas	The Missing Equilibria in Hotelling's Location Game
9164	J. Greenberg	The Stable Value
9165	Q.H. Vuong and W. Wang	Selecting Estimated Models Using Chi-Square Statistics
9166	D.O. Stahl II	Evolution of Smart, Players
9167	D.O. Stahl II	Strategic Advertising and Pricing with Sequential Buyer Search
9168	T.E. Nijman and F.C. Palm	Recent Developments in Modeling Volatility in Financial Data
9169	G. Asheim	Individual and Collective Time Consistency
9170	H. Carlsson and E. van Damme	Equilibrium Selection in Stag Hunt Games
9201	M. Verbeek and Th. Nijman	Minimum MSE Estimation of a Regression Model with Fixed Effects from a Series of Cross Sections
9202	E. Bomhoff	Monetary Policy and Inflation
9203	J. Quiggin and P. Wakker	The Axiomatic Basis of Anticipated Utility; A Clarification
9204	Th. van de Klundert and S. Smulders	Strategies for Growth in a Macroeconomic Setting
9205	E. Siandra	Money and Specialization in Production
9206	W. Härdle	Applied Nonparametric Models
9207	M. Verbeek and Th. Nijman	Incomplete Panels and Selection Bias: A Survey

No.	Author(s)	Title
9208	W. Härdle and A.B. Tsybakov	How Sensitive Are Average Derivatives?
9209	S. Albæk and P.B. Overgaard	Upstream Pricing and Advertising Signal Downstream Demand
9210	M. Cripps and J. Thomas	Reputation and Commitment in Two-Person Repeated Games
9211	S. Albæk	Endogenous Timing in a Game with Incomplete Information
9212	T.J.A. Storcken and P.H.M. Ruys	Extensions of Choice Behaviour
9213	R.M.W.J. Beetsma and F. van der Ploeg	Exchange Rate Bands and Optimal Monetary Accommodation under a Dirty Float
9214	A. van Soest	Discrete Choice Models of Family Labour Supply
<mark>92</mark> 15	W. Güth and K. Ritzberger	On Durable Goods Monopolies and the (Anti-) Coase- Conjecture
9216	A. Simonovits	Indexation of Pensions in Hungary: A Simple Cohort Model
9217	JL. Ferreira, I. Gilboa and M. Maschler	Credible Equilibria in Games with Utilities Changing During the Play
9218	P. Borm, H. Keiding, R. Mclean, S. Oortwijn and S. Tijs	The Compromise Value for NTU-Games
9218 9219	<ul> <li>P. Borm, H. Keiding,</li> <li>R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and</li> <li>W. Härdle</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative
9218 9219 9220	<ul> <li>P. Borm, H. Keiding,</li> <li>R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and</li> <li>W. Härdle</li> <li>A.L. Bovenberg</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative Investment-Promoting Policies in Open Economies: The Importance of Intergenerational and International Distributional Effects
9218 9219 9220 9221	<ul> <li>P. Borm, H. Keiding,</li> <li>R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and</li> <li>W. Härdle</li> <li>A.L. Bovenberg</li> <li>S. Smulders and Th. van de Klundert</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative Investment-Promoting Policies in Open Economies: The Importance of Intergenerational and International Distributional Effects Monopolistic Competition, Product Variety and Growth: Chamberlin vs. Schumpeter
<ul> <li>9218</li> <li>9219</li> <li>9220</li> <li>9221</li> <li>92221</li> <li>92222</li> </ul>	<ul> <li>P. Borm, H. Keiding,</li> <li>R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and W. Härdle</li> <li>A.L. Bovenberg</li> <li>S. Smulders and Th. van de Klundert</li> <li>H. Bester and E. Petrakis</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative Investment-Promoting Policies in Open Economies: The Importance of Intergenerational and International Distributional Effects Monopolistic Competition, Product Variety and Growth: Chamberlin vs. Schumpeter Price Competition and Advertising in Oligopoly
<ul> <li>9218</li> <li>9219</li> <li>9220</li> <li>9221</li> <li>9222</li> <li>9222</li> <li>9223</li> </ul>	<ul> <li>P. Borm, H. Keiding, R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and W. Härdle</li> <li>A.L. Bovenberg</li> <li>S. Smulders and Th. van de Klundert</li> <li>H. Bester and E. Petrakis</li> <li>A. van den Nouweland, M. Maschler and S. Tijs</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative Investment-Promoting Policies in Open Economies: The Importance of Intergenerational and International Distributional Effects Monopolistic Competition, Product Variety and Growth: Chamberlin vs. Schumpeter Price Competition and Advertising in Oligopoly Monotonic Games are Spanning Network Games
<ul> <li>9218</li> <li>9219</li> <li>9220</li> <li>9221</li> <li>9222</li> <li>9222</li> <li>9223</li> <li>9224</li> </ul>	<ul> <li>P. Borm, H. Keiding, R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and W. Härdle</li> <li>A.L. Bovenberg</li> <li>S. Smulders and Th. van de Klundert</li> <li>H. Bester and E. Petrakis</li> <li>A. van den Nouweland, M. Maschler and S. Tijs</li> <li>H. Suehiro</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative Investment-Promoting Policies in Open Economies: The Importance of Intergenerational and International Distributional Effects Monopolistic Competition, Product Variety and Growth: Chamberlin vs. Schumpeter Price Competition and Advertising in Oligopoly Monotonic Games are Spanning Network Games A "Mistaken Theories" Refinement
<ul> <li>9218</li> <li>9219</li> <li>9220</li> <li>9221</li> <li>9222</li> <li>9222</li> <li>9223</li> <li>9224</li> <li>9225</li> </ul>	<ul> <li>P. Borm, H. Keiding, R. Mclean, S. Oortwijn and S. Tijs</li> <li>J.L. Horowitz and W. Härdle</li> <li>A.L. Bovenberg</li> <li>S. Smulders and Th. van de Klundert</li> <li>H. Bester and E. Petrakis</li> <li>A. van den Nouweland, M. Maschler and S. Tijs</li> <li>H. Suehiro</li> <li>H. Suehiro</li> <li>H. Suehiro</li> </ul>	The Compromise Value for NTU-Games Testing a Parametric Model against a Semiparametric Alternative Investment-Promoting Policies in Open Economies: The Importance of Intergenerational and International Distributional Effects Monopolistic Competition, Product Variety and Growth: Chamberlin vs. Schumpeter Price Competition and Advertising in Oligopoly Monotonic Games are Spanning Network Games A "Mistaken Theories" Refinement Robust Selection of Equilibria

No.	Author(s)	Title
9227	E. Bomhoff	Four Econometric Fashions and the Kalman Filter Alternative - A Simulation Study
9228	P. Borm, GJ. Otten and H. Peters	Core Implementation in Modified Strong and Coalition Proof Nash Equilibria
9229	H.G. Bloemen and A. Kapteyn	The Joint Estimation of a Non-Linear Labour Supply Function and a Wage Equation Using Simulated Response Probabilities
9230	R. Beetsma and F. van der Ploeg	Does Inequality Cause Inflation? - The Political Economy of Inflation, Taxation and Government Debt
9231	G. Almekinders and S. Eijffinger	Daily Bundesbank and Federal Reserve Interventions - Do they Affect the Level and Unexpected Volatility of the DM/\$-Rate?
9232	F. Vella and M. Verbeek	Estimating the Impact of Endogenous Union Choice on Wages Using Panel Data
9233	P. de Bijl and S. Goyal	Technological Change in Markets with Network Externalities
9234	J. Angrist and G. Imbens	Average Causal Response with Variable Treatment Intensity
9235	L. Meijdam, M. van de Ven and H. Verbon	Strategic Decision Making and the Dynamics of Government Debt
9236	H. Houba and A. de Zeeuw	Strategic Bargaining for the Control of a Dynamic System in State-Space Form
9237	A. Cameron and P. Trivedi	Tests of Independence in Parametric Models: With Applications and Illustrations
9238	JS. Pischke	Individual Income, Incomplete Information, and Aggregate Consumption
9239	H. Bloemen	A Model of Labour Supply with Job Offer Restrictions
9240	F. Drost and Th. Nijman	Temporal Aggregation of GARCH Processes
9241	R. Gilles, P. Ruys and J. Shou	Coalition Formation in Large Network Economies
9242	P. Kort	The Effects of Marketable Pollution Permits on the Firm's Optimal Investment Policies
9243	A.L. Bovenberg and F. van der Ploeg	Environmental Policy, Public Finance and the Labour Market in a Second-Best World
9244	W.G. Gale and J.K. Scholz	IRAs and Household Saving

No.	Author(s)	Title
9245	A. Bera and P. Ng	Robust Tests for Heteroskedasticity and Autocorrelation Using Score Function
9246	R.T. Baillie, C.F. Chung and M.A. Tieslau	The Long Memory and Variability of Inflation: A Reappraisal of the Friedman Hypothesis
9247	M.A. Tieslau, P. Schmidt and R.T. Baillie	A Generalized Method of Moments Estimator for Long- Memory Processes
9248	K. Wärneryd	Partisanship as Information
9249	H. Huizinga	The Welfare Effects of Individual Retirement Accounts
9250	H.G. Bloemen	Job Search Theory, Labour Supply and Unemployment Duration
9251	S. Eijffinger and E. Schaling	Central Bank Independence: Searching for the Philosophers' Stone
9252	A.L. Bovenberg and R.A. de Mooij	Environmental Taxation and Labor-Market Distortions
9253	A. Lusardi	Permanent Income, Current Income and Consumption: Evidence from Panel Data
9254	R. Beetsma	Imperfect Credibility of the Band and Risk Premia in the European Monetary System
9301	N. Kahana and S. Nitzan	Credibility and Duration of Political Contests and the Extent of Rent Dissipation
9302	W. Güth and S. Nitzan	Are Moral Objections to Free Riding Evolutionarily Stable?
9303	D. Karotkin and S. Nitzan	Some Peculiarities of Group Decision Making in Teams
9304	A. Lusardi	Euler Equations in Micro Data: Merging Data from Two Samples
9305	W. Güth	A Simple Justification of Quantity Competition and the Cournot-Oligopoly Solution
9306	B. Peleg and S. Tijs	The Consistency Principle For Games in Strategic Form
9307	G. Imbens and A. Lancaster	Case Control Studies with Contaminated Controls
9308	T. Ellingsen and K. Wärneryd	Foreign Direct Investment and the Political Economy of Protection

No.	Author(s)	Title
9309	H. Bester	Price Commitment in Search Markets
9310	T. Callan and A. van Soest	Female Labour Supply in Farm Households: Farm and Off-Farm Participation
9311	M. Pradhan and A. van Soest	Formal and Informal Sector Employment in Urban Areas of Bolivia
9312	Th. Nijman and E. Sentana	Marginalization and Contemporaneous Aggregation in Multivariate GARCH Processes
9313	K. Wärneryd	Communication, Complexity, and Evolutionary Stability
9314	O.P.Attanasio and M. Browning	Consumption over the Life Cycle and over the Business Cycle
9315	F. C. Drost and B. J. M. Werker	A Note on Robinson's Test of Independence
9316	H. Hamers, P. Borm and S. Tijs	On Games Corresponding to Sequencing Situations with Ready Times
9317	W. Güth	On Ultimatum Bargaining Experiments - A Personal Review
9318	M.J.G. van Eijs	On the Determination of the Control Parameters of the Optimal Can-order Policy
9319	S. Hurkens	Multi-sided Pre-play Communication by Burning Money
9320	J.J.G. Lemmen and S.C.W. Eijffinger	The Quantity Approach to Financial Integration: The Feldstein-Horioka Criterion Revisited
9321	A.L. Bovenberg and S. Smulders	Environmental Quality and Pollution-saving Technological Change in a Two-sector Endogenous Growth Model
9322	KE. Wärneryd	The Will to Save Money: an Essay on Economic Psychology
9323	D. Talman, Y. Yamamoto and Z. Yang	The $(2^{n+m+1} - 2)$ -Ray Algorithm: A New Variable Dimension Simplicial Algorithm For Computing Economic Equilibria on S <sup>n</sup> x R <sup>m</sup> <sub>+</sub>
9324	H. Huizinga	The Financing and Taxation of U.S. Direct Investment Abroad
9325	S.C.W. Eijffinger and E. Schaling	Central Bank Independence: Theory and Evidence
9326	Т.С. То	Infant Industry Protection with Learning-by-Doing

