

Formation of Segregated and **Integrated Groups**

Alison Watts

NOTA DI LAVORO 127.2006

OCTOBER 2006

CTN – Coalition Theory Network

Alison Watts, Department of Economics, Southern Illinois University

This paper can be downloaded without charge at:

The Fondazione Eni Enrico Mattei Note di Lavoro Series Index: http://www.feem.it/Feem/Pub/Publications/WPapers/default.htm

Social Science Research Network Electronic Paper Collection: http://ssrn.com/abstract=936932

The opinions expressed in this paper do not necessarily reflect the position of Fondazione Eni Enrico Mattei

Formation of Segregated and Integrated Groups

Summary

A model of group formation is presented where the number of groups is fixed and a person can only join a group if the group's members approve the person's joining. Agents have either local status preferences (each agent wants to be the highest status agent in his group) or global status preferences (each agent wants to join the highest status group that she can join). For both preference types, conditions are provided which guarantee the existence of a segregated stable partition where similar people are grouped together and conditions are provided which guarantee the existence of an integrated stable partition where dissimilar people are grouped together. Additionally, in a dynamic framework we show that if a new empty group is added to a segregated stable partition, then integration may occur.

Keywords: Group Formation, Stable Partition, Segregation, Integration

JEL Classification: C7, D6

I thank William Thomson and two anonymous referees for valuable comments and criticisms.

Address for correspondence:

Alison Watts
Department of Economics
Southern Illinois University
SIU Carbondale
IL 62901
USA

E-mail: wattsa@siu.edu

1. Introduction

There are many situations where people join groups, the number of groups is fixed, and where a person can only join a group if this group approves the person's joining. Examples include students choosing a university, nurses joining a hospital, managers joining a firm, academics joining a department, athletes joining a team and college students joining a fraternity. We examine such situations where agents are concerned with either local status (each agent wants to be the highest status agent in his group) or global status (each agent wants to join the highest status group possible).

Specifically, each person is endowed with a quality level and receives a (hedonic) payoff from the group he joins which depends only on who is in the group (or only on the quality levels of the people in the group). We consider two such possible payoff functions. The first is the average quality (or global status) payoff function where an agent's payoff is increasing in the average quality of the agents in his group. Such a person is concerned with global status since he wants to be a member of the most prestigious group (or the group with the highest average quality). The second payoff function considered is the big fish (or local status) payoff function. Here an agent prefers the group where he is the highest quality agent (or the "big fish") in the group. Such an agent is concerned with local status, since he cares about his quality ranking within his group. For example, a local status person prefers a position at a less prestigious firm if he is the "big fish" there.²

When people choose with whom to associate they often end up in segregated partitions where

¹Since an agent changes the average quality of a group once he joins it, we assume an agent includes himself when calculating average quality. As a consequence, a low quality agent may have a bias towards joining a larger group since his quality does not decrease the average as much, while a high quality agent may have a bias towards joining a smaller group.

²A discussion of global versus local status and how a person may trade one for the other is given in Frank [1985]; an axiomatization of local status is given in Ök and Kockesen [2000].

agents of similar characteristics (or qualities) are grouped together.³ We are interested in whether or not our preferences are also biased towards like agents seeking out like agents. Intuitively, both local and global status preferences seem somewhat biased towards segregation and in fact we find that under both types of preferences a segregated stable partition always exists.⁴ However, in spite of this apparent bias, under big fish preferences an integrated stable partition almost always exists where people with dissimilar quality levels are grouped together and under average quality preferences an integrated stable partition exists if certain conditions are met.

We also investigate in a dynamic group formation model what happens to a segregated stable partition when a new empty group (or location) is added and show that the addition of such an empty location may cause integration to occur. As far as we know this is the first paper in the hedonic group formation literature to examine what happens to stable partitions when a new location is added.

We define a partition to be stable if whenever there exists an agent who wants to change locations, the non-strict majority of agents at the new location vetoes the move. This stability notion is related to both the concept of "individual stability" (see Greenberg [1978], Drèze and Greenberg [1980], and Bogomolnaia and Jackson [2002]) and to the concept of "Nash stability" (see Brams, Jones and Kilgour [2002], Bogomolnaia and Jackson [2002], and Milchtaich and Winter [2002]). Under individual stability an agent needs unanimous approval by agents at the new location in order

³For instance consider the local public good literature of Tiebout [1956], Wooders [1980] and Greenberg and Weber [1986] where agents prefer those with preferences regarding local public good production given taxation most similar to themselves and often end up in segregated partitions. Alternatively, Milchtaich and Winter [2002] examine group formation where agents prefer to be with others similar to themselves and provide conditions under which stable partitions are segregating and Pareto efficient.

⁴To see this bias note that if preferences are average quality (respectively, big fish) and if agents are in an integrated partition, then often high (respectively, mid or low) quality agents both want to and can leave an integrated group.

to move, while under Nash stability an agent can move without anyone's approval. Nash stability is more demanding than individual stability, while our definition of stability is in between.⁵

The paper most closely related to the current one is Milchtaich and Winter [2002] who also study group formation when the number of groups is fixed. Their model differs from ours in that agents want to join the group which has agents who are the most similar to them and agents do not need permission from the new group in order to join it. Milchtaich and Winter [2002] show that segregated, stable partitions exist and that a dynamic model of group formation always converges to a stable, segregated partition. Additionally, in their model integrated stable partitions are not weakly Pareto efficient, while in our model an integrated stable partition can be Pareto efficient.⁶

The literature on coalition formation in hedonic games (where an agent's payoff is based solely on who else is in his coalition) is also closely related to our paper; see founding paper Drèze and Greenberg [1980], as well as Banerjee, Konishi, and Sönmez [2001], Cechlárová and Romero-Medina [2001], Bogomolnaia and Jackson [2002], Burani and Zwicker [2003], Diamontoudi and Xue [2003], Ballester [2004], Dimitrov et.al. [2004], Dimitrov and Sung [2004], and Pápai [2004]. Most of these papers focus on restrictions on preferences which lead to stable coalition partitions.

⁵Nash stability here often results in no stable partitions since with average quality payoffs a high quality agent at a low quality group wishes to move to a higher quality group, while with big fish payoffs any high quality agent not ranked first wants to move to a lower quality location. Individual stability applied to big fish payoffs can result in a large number of stable partitions since all moves to a new location which displace the rank of an existing agent are vetoed. Our stability notion allows existence, but refines the number of stable partitions.

⁶Consider an example with four agents with respective quality levels {4,2,1,0} and two locations A and B. Under both average quality and big fish preferences the integrated stable partition where agents 1 and 3 are located at A and 2 and 4 are at B is Pareto efficient.

⁷Exceptions are Pápai [2004] which focuses on restrictions of permissible coalitions which result in unique stable partitions and Ballester (2004) which focuses on complexity issues.

There are four main differences between the current paper and this literature. First, this literature assumes the number of coalitions formed is endogenous, while in our model the number of groups formed is fixed. Second, most of this literature considers preference domains which do not include average quality or big fish preferences (examples include symmetric and separable preferences, single-peaked preferences with ordered characteristics, preferences depending only on the best or worst person in the group, etc.). Exceptions include the top-coalition preferences of Banerjee, Konishi, and Sönmez [2001] (both average quality and big fish preferences are subsets of this domain) and the aversion to enemies preferences of Dimitrov et. al. [2004] (big fish preferences are a subset of this domain).⁸ The third difference between the current paper and this literature is the stability concept; these papers use core stability, individual stability, Nash stability, and contractual individual stability. Lastly our focus is different in that we are interested in the composition of stable partitions and in what happens to segregated partitions when a new empty location is added.

The local public goods literature is also related to group formation since in these models agents join jurisdictions (or groups) which produce local public goods. Here agents prefer to join jurisdictions where other people have preferences for levels of local public good production (given a specific tax structure) which are similar to their own preferences. See Wooders [1980], Bewley [1981], Guesnerie and Oddou [1981], Greenberg and Weber [1986] and [1993], Jehiel and Scotchmer [1997], Konishi, Le Breton and Weber [1998], and Gravel and Thoron [2004].

2. Model

⁸Note that both of these papers use core stability, which is quite different from the stability concept used here. Dimitrov and Sung [2004] examine individually stable partitions with aversion to enemies preferences and Nash stable partitions with aversion to enemies preferences when mutuality is imposed; big fish preferences do not satisfy mutuality.

Denote the set of *agents* by $N=\{1,2,...,i,...,n\}$. Each agent i is endowed with *quality level* q_i . An agent's quality level may represent many different things such as an agent's athletic ability, academic ability, or publishing ability. Without loss of generality we assume that agents are indexed such that $q_1 \ge q_2 \ge ... \ge q_n$. Let $Q' = \{q_1, q_2, ..., q_n\}$ and $Q \subseteq Q'$ represent the largest set of distinct quality levels so that $q_i, q_i \in Q$ and $i \ne j$ imply $q_i \ne q_i$.

There are *m locations* which are represented by the set $L=\{A,B,...,G,...,M\}$. Each agent is positioned at exactly one location. If $\{i,...,j\}$ are the only agents located at G, we write $\{i,...,j\}=G$. An agent's location may represent many different things such as his athletic team or academic department. Thus, an agent's location represents a group that he joins. A *partition* $\sigma:N\rightarrow L$ is an assignment of each agent to exactly one location.

Consider the following general *payoff function*. If $\{i...,j,...,k\}=C$, then j receives a payoff of $u_j(i,...,j,...,k)$ or $u_j(C)$. For any ℓ such that $\sigma(\ell) \neq C$, ℓ 's payoff if he moves to C is $u_\ell(C+\ell)$.

We focus our analysis on the following two specifications of u_j . Let $\mu(X)$ represent the cardinality of integer set X and if $\{i,...,k\}=G$, then let $\mu(G)=\mu(\{i,...,k\})$.

Definition 1. Let $\{i,...,j,...,k\} = G$. If $u_j(G)$ is a strictly increasing function of $aq(G) \equiv (q_i + ... + q_k)/\mu(G)$, then agent j's preferences can be represented by the *average quality payoff function*

Definition 3. A given partition is *stable* if and only if for all $i \in D \neq G$, $u_i(D) < u_i(G+i)$ implies that

 $u_i(G) \ge u_i(G+i)$ for the non-strict majority of agents $j \in G$.

Definition 4. A partition $\sigma: N \rightarrow L$ is called *segregated* if:

- (i) for all $i,j,k \in N$ such that $\sigma(i) = \sigma(j)$ and $q_k \in (q_i,q_i)$ we have $\sigma(k) = \sigma(i)$.
- (ii) there does not exist $i,j,k,\ell \in N$ with $q_i,q_i \ge q'$ and $q_k,q_\ell \le q'' \le q'$ such that $\sigma(i) = \sigma(k) \ne \sigma(j) = \sigma(\ell)$.

Definition 5. A partition is called an *integrated partition* if it is not segregated.

Thus, at an integrated stable partition agents of similar quality are not always located together.

Definition 6. This definition is only needed for the case where $q_1 > q_2 > ... > q_n$ and so for ease of exposition we restrict the definition to this case. A group (or location) G is called an *integrated* group if there exists agents i, j, and k such that $q_i > q_j > q_k$, $i \in G$, $k \in G$, but $j \in D \neq G$. A group that is not integrated is called a *segregated group*. Thus, segregated partitions consist entirely of segregated groups. However, integrated partitions may consist of both integrated and segregated groups.

3. Average Quality Payoff Results

In this section, we examine the type of stable partitions that exist when all players want to be in the group with the highest average quality. We also define a dynamic process and use this process to look at what happens when a new empty location is added to a segregated stable partition.

Theorem 1: A partition is stable iff for all $i \in D \neq G$, $q_i > aq(G)$ implies $aq(D) - aq(G) \ge (q_i - aq(D))/\mu(G)$.

Proof: First we show that stability implies the stated condition. Assume there exists $i \in D \neq G$ such

⁹We assume that if *i* is indifferent about changing locations, then he chooses to stay where he is. Additionally, approval for a move is granted only if agents are made strictly better off by having the new agent join, while in Bogomolnaia and Jackson [2002] approval is granted as long as agents are not made worse off by the addition of the new agent. However, if each agent has a different quality level, then the addition of a new agent almost always changes average quality and the two notions of approval coincide for average quality payoffs.

that $q_i > aq(G)$. Thus, the agents at G always allow i to move from D to G. Stability requires that i does not want to move or that $aq(D) \ge aq(G+i)$; this implies that $aq(D) \ge (\mu(G)+1)aq(G+i)/(\mu(G)+1)$ = $(\mu(G)aq(G)+q_i)/(\mu(G)+1)$. Rearranging yields $aq(D)-aq(G) \ge (q_i-aq(D))/\mu(G)$. Next, assume that the condition of Theorem 1 is met, but that the partition is not stable. Thus, there exists $i \in D$ who wants to and can move from D to G. Thus, aq(D) < aq(G+i); this is equivalent to $aq(D)-aq(G) < (q_i-aq(D))/\mu(G)$. Such an i can move from D to G only if $q_i > aq(G)$. However, by assumption this inequality implies that $aq(D)-aq(G) \ge (q_i-aq(D))/\mu(G)$; this is a contradiction. \Diamond

Notice that here if the addition of a new agent raises the average quality of the group, then everyone in the group approves the new person joining. Thus, majority approval for a move and unanimous approval (or even the stricter stability notion of requiring the approval of just one current group member) always coincide.

Proposition 1: There exists a segregated stable partition which is strongly Pareto efficient.

Proof: First we show that the following segregated partition, call it σ_s , is stable. Let $\sigma_s(I) = A$ and $\sigma_s(i) = A$ for all i such that $q_i = q_I$. Let $\sigma_s(j) = B$ for all j with the second highest quality level. Continue in this fashion until there are either no more agents or no more locations. If $\mu(Q) > \mu(L)$, then place all remaining agents at M. If $\mu(Q) < \mu(L)$, then M is empty. For all $i \in D \neq G$ with $q_i > aq(G)$ we know that $D < G \le M$ or that $q_i = aq(D) > aq(G)$. Thus, $aq(D) - aq(G) \ge (q_i - aq(D))/\mu(G) = 0$, and the conditions of Theorem 1 are met. Thus, σ_s is stable.

Next, we show that σ_s is strongly Pareto efficient. The agents at A already have the highest possible utility level, so any Pareto improvement should leave them at this level. The only way to not decrease aq(A) is to have A stay together without anyone else. So, in any Pareto improvement

these agents occupy their own location(s) and we are left with at most (m-1) locations for other agents. Given this, the agents located at B should also be alone and we are left with at most (m-2) locations for other agents. Continue in this fashion. All agents located at $G \neq M$ remain by themselves; otherwise, at least one of them is made worse off. Thus, if $\mu(Q) \geq \mu(L)$, then M is nonempty and σ_s is strongly Pareto efficient. If $\mu(Q) < \mu(L)$, then $\mu(M) = 0$. If there exists agents $i \in G$ and $j \in G$ such that $q_i = q_j$, then we can move j to M. The payoffs at this new partition are exactly the same as the payoffs at σ_s . Thus, such a move is not Pareto improving. \Diamond

Example: Not all segregated partitions are stable.

Let m=2, n=4, $q_1=20$, $q_2=10$, $q_3=9$, $q_4=8$. The segregated partition $\{1,2,3\}=A$ and $\{4\}=B$ is not stable since aq(A)=13, but aq(B+1)=14. Thus, I prefers to move from A to B.

Proposition 2: Assume $q_1 > q_2 > ... > q_n$. If $q_i > max \{(q_1 + q_{i+1})/2, (q_1 + q_2 + q_{i+1})/3, ..., (q_1 + q_2 + ... + q_{i-1} + q_{i+1})/i\}$ for all $i \in \{2, ..., n-1\}$, then there does not exist an integrated stable partition.

Proof: The proof is by contradiction. Assume agents are in an integrated stable partition and that for all $i \in \{2,...,n-1\}$, $q_i > max \{(q_1 + q_{i+1})/2, (q_1 + q_2 + q_{i+1})/3,..., (q_1 + q_2 + ... + q_{i-1} + q_{i+1})/i\}$. Since the partition is integrated, there exists at least two non-empty groups one of which, say C, is integrated. Let $\{i,...,k\}=C$ with $q_i>...>q_k$, but let there exist $j\in D\neq C$ such that $q_i>q_i>q_k$.

Case 1: $aq(D) \le aq(C)$. Since C is integrated, $aq(C) \le max\{(q_1+q_{j+1})/2, (q_1+q_2+q_{j+1})/3,..., (q_1+q_2+...+q_{j+1}+q_{j+1})/j\}$. Since $q_j > max\{(q_1+q_{j+1})/2, (q_1+q_2+q_{j+1})/3,..., (q_1+q_2+...+q_{j+1}+q_{j+1})/j\}$, we know that $q_j > aq(C)$. Thus, $aq(C+j) > aq(C) \ge aq(D)$. So, j prefers to join C and the agents at C allow j to join. Thus, the partition is not stable.

Case 2: aq(D) > aq(C). Either D is integrated or it is not. Assume D is integrated. Since

 $q_i > q_j$, but $i \in C$ and $j \in D$, then $aq(D) \le max\{(q_1 + q_{i+1})/2, (q_1 + q_2 + q_{i+1})/3, ..., (q_1 + q_2 + ... + q_{i-1} + q_{i+1})/i\}$. By assumption, $max\{(q_1 + q_{i+1})/2, (q_1 + q_2 + q_{i+1})/3, ..., (q_1 + q_2 + ... + q_{i-1} + q_{i+1})/i\} < q_i$. Thus, aq(D+i) > aq(D) > aq(C). So, i wants to move from C to D and the agents at D agree to this. If D is not integrated, then q_i is strictly larger than the quality of every agent located at D. Thus, aq(D+i) > aq(D) > aq(C), and so i wants to join D and the agents at D let i join. Thus, the partition is not stable. \Diamond

Notice that the conditions of Proposition 2 are close to those necessary for i (respectively k) to join G (resp. H). For instance, if $G = \{1, 2, ..., i-1, i+1\}$, then $q_i > (q_1 + q_2 + ... + q_{i-1} + q_{i+1})/i$ is a necessary condition for i to join G. However, if $G = \{2, 3, ..., i-1, i+1\}$, then $q_i > (q_2 + q_3 + ... + q_{i-1} + q_{i+1})/(i-1)$ is a necessary condition for i to join G; this condition is a weaker one than our $q_i > (q_1 + q_2 + ... + q_{i-1} + q_{i+1})/i$. Since we want i (resp. k) to join any such G (resp. H), it is unlikely that the conditions of Proposition 2 can be substantially weakened.

Proposition 3: Assume m=2 and that $q_1>q_2>...>q_n$. If there exists $i\in\{2,...,n-1\}$ such that $(q_1+q_2+...+q_{i-1}+q_{i+1})/i>max\{q_i, (q_1+q_i+q_{i+2}+q_{i+3}+...+q_n)/(n-i+1)\}$, then there exists an integrated stable partition.

Proof: We show that the integrated partition where $\{1,2,...,i-2,i-1,i+1\}=A$ and $\{i,i+2,i+3,...,n\}=B$ meets the conditions of Theorem 1 and so this partition is stable. By assumption, $aq(A) = (q_1+q_2+...+q_{i-1}+q_{i+1})/i > q_i$. Thus, if there exists $k \in D \neq G$ such that $q_k > aq(G)$, then $k \in A$. If $q_k > aq(B)$, then Theorem 1 requires that $aq(A)-aq(B) \ge (q_k - aq(A))/\mu(B)$. This inequality is equivalent to $aq(A) \ge aq(B+k)$, which by assumption is always true. \diamondsuit

Dynamics

The following *dynamic process* is used in Propositions 4 and 7. Agents begin in a partition which may or may not be stable. There is a set of periods $\{1,2,...,t,...\}$ and at every t a pair $p_t = (i,G)$ is randomly identified with uniform probability; i is allowed to move to G if such a move strictly increases i's payoff and if i has strict majority approval for the move by the agents at G. If, after some t, no agents can move, then the dynamic process has reached a stable partition. A sequence of such partitions generated by the dynamic process is called an *improving path*. ¹⁰

The following lemma is used in the proof of Proposition 4. This lemma shows that the dynamic process never becomes stuck in a cycle of partitions.

Lemma 1: Assume agents are in an unstable partition. The dynamic process leads to a stable partition with probability 1.

Proof: First note that since $p_t = (i, G)$ is randomly identified with uniform probability, the probability that the same (i, G) is chosen every period approaches 0 as $t \to \infty$. Thus, with probability 1 the dynamic process cannot become stuck in an unstable partition and leads to either a cycle of partitions or to a stable partition. We show next, that the process always leads to a stable partition and not a cycle.

Define $aq_{max} = \{aq(A),...,aq(M)\}$. Let G be such that $aq(G) = aq_{max}$ at time t. At time t+1, either G remains the same or some i joins G or some j leaves G. If i joins G, then aq(G+i) > aq(G) (otherwise the agents at G refuse to let i join). If j leaves G, then j leaves for H with aq(H+j) > aq(G). Thus, H becomes the new highest average quality location. Therefore, in each period either the group with aq_{max} remains the same, or the group changes and aq_{max} strictly increases. Since N, Q, L are all finite sets, it is not possible for the average quality of the highest average quality group to keep increasing. Thus, after some time period the group with aq_{max} remains unchanged. Starting at

¹⁰The notion of an improving path was originated by Jackson and Watts [2002] in the context of a dynamic model of network formation.

this time, consider the group with the second highest average quality. Similar analysis shows that this group also remains unchanged after some time period. Repeating this analysis shows that eventually a stable partition is reached. ♦

Next, a new location is added to a segregated stable partition and agents are given the opportunity to relocate. Proposition 4 provides conditions under which the dynamic process leads to an integrated stable partition. We focus on this case because it is the most interesting, since the results are somewhat surprising. Notice that if agents are instead originally in an integrated stable partition and if enough new empty locations are added, then all improving paths lead to segregated stable partitions. (Here any agent with quality level greater than the average quality at his current location prefers to move to an empty location.) Thus, one might expect that adding new empty locations leads to segregation. However, Proposition 4 shows this is not necessarily the case.

Proposition 4: Let $q_1 > q_2 > ... > q_n$. Assume that agents are in a segregated stable partition where aq(A) > aq(B) > ... > aq(M), $\mu(A) \le \mu(B) \le ... \le \mu(M)$ and where there exists agent $k \in A$ and $\ell \in D \ne A$ such that $q_\ell > aq(D)$ and $(q_k + q_\ell)/2 > aq(A)$. If a new location, Z, is added, then there exists an improving path leading the dynamic process to an integrated stable partition.¹¹

Proof: Step 1: Show k and ℓ join Z, but that there exists $i \in \{k+1, ..., \ell-1\}$ who does not. By Lemma 1, we know that with probability 1, the dynamic process ends in a stable partition. Since $q_{\ell} > aq(D)$, if ℓ is given the option to move to Z, he does. Since $(q_k + q_{\ell})/2 > aq(A)$, k also wants to move to Z. Since $q_k > q_{\ell}$, ℓ allows k to move to Z. Next, we check that k and ℓ do not allow all agents $\{k+1, ..., \ell-1\}$ to join Z and so Z is integrated. (By assumption $q_k > q_{\ell}$, which implies $q_k > (q_k + q_{\ell})/2 > aq(A)$ and

¹¹In fact we show that if agents ℓ and k are given the first opportunity to move to Z, then all improving paths lead to integrated stable partitions.

thus that $\ell \ge k+2$.) Note that k and ℓ only allow i to join Z if $q_i > (q_k + q_\ell)/2 > aq(A)$. Since $q_1 > q_2 > ... > q_n$ and $q_k > aq(A)$, there exists $j \in A$ with $q_j < aq(A) < (q_k + q_\ell)/2$; such a j is not allowed to join Z. Since $j \in A$ and $q_j < aq(A) < (q_k + q_\ell)/2 < q_k$, then $j \in \{k+1, ..., \ell-1\}$. Thus, Z is integrated. (Note also that any $j \notin A$ and $j \ne \ell$ has $q_j < aq(A) < (q_k + q_\ell)/2$ and is not allowed to join Z.) So, far at least one agent has left A and ℓ has left A; we represent the agents currently at A and A by A and A

Step 2: Show that the only agents $i \notin Z$ who change locations are those who move to Z. By the stability of the initial partition, no agent i moves from C to G, for any $C, G \notin \{A', D', Z\}$. Next, we show i does not move from A' to $G \notin \{D', Z\}$. Since $\mu(A) \le \mu(G)$ and $A' \subseteq A$, $\mu(A') \le \mu(G)$. Combining $\mu(A') \le \mu(G)$ with the fact that all agents at G have lower quality than those at A' yields $aq(A') \ge aq(G+i)$. We also show that no i moves from $G' \in \{A', B, ..., C\}$ to $D' = D - \ell$. We know $A' \subseteq A$ and for $G \in \{A, ..., C\}$, $\mu(G) \le \mu(D)$. Thus, $\mu(G') \le \mu(D)$. Since all agents at D have lower quality than those at G', $aq(G') \ge aq(D - \ell + i)$. Similar reasoning shows no i leaves D' for a lower ranked group. Note that $i \in D'$ cannot join a higher ranked group since such a group does not allow i to join. Thus, all $G \notin \{A', D', Z\}$ have the same agents located at them as under the initial segregated partition.

Step 3: Show that no agent leaves Z. Thus, Z remains integrated. First we show that k does not leave Z. By the stability of the initial partition, $aq(G+k) \le aq(A) < (q_k+q_\ell)/2 \le aq(Z)$ for $G \in \{A', D'\}$. Thus, k does not leave Z for G. By reasoning similar to that used in step 2, $aq(D-\ell+k) \le aq(A) < (q_k+q_\ell)/2 \le aq(Z)$. Thus, k does not leave K for K for K since the only agents who left K are those with K are those with K does not leave K for K Next, we show ℓ does not leave K agent ℓ may want to leave K for a group K for K Next, we show K does not leave K for a group K for a group K does not leave K for K Next, we show K does not leave K for a group K for a group K for K Next, we show K does not leave K for a group K for a group K for K Next, we show K does not leave K for a group does not left K join. Since K is the only agent, who left K not left K for K is the only agent, who left K not left K for K is the only agent, who left K for K is the only agent, who left K for K is the only agent, who left K for K for

 $aq(D'+\ell)=aq(D)<(q_k+q_\ell)/2\le aq(Z)$. Thus, agent ℓ does not leave Z for D'. By the stability of the initial partition, $aq(G+\ell)\le aq(D)<(q_k+q_\ell)/2\le aq(Z)$. Thus, ℓ does not leave Z for G with aq(G)<aq(D). From Step 1, any other $i\in Z$ was originally located at A and has $q_i>(q_k+q_\ell)/2>aq(A)$. Similar reasoning to that for k above shows i does not leave Z. \diamondsuit

4. Big Fish Payoff Results

In this section, we examine the type of stable partitions that exist when each player wants to be the highest quality agent in the group.

Theorem 2: A partition is stable if and only if for all $i \in D \neq G$, (i) $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\})$ $> \mu(\{j \in G \mid q_j \geq q_i\})$ implies $\mu(G) \geq 2 \mu(\{j \in G \mid q_j > q_i\})$ and (ii) $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\}) = \mu(\{j \in G \mid q_j \geq q_i\})$ and $\mu(D) < \mu(G) + 1$ imply $\mu(G) \geq 2 \mu(\{j \in G \mid q_i > q_i\})$.

Proof: First we show that stability implies the condition stated in the proposition. Assume there exists $i \in D \neq G$ such that $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\}) > \mu(\{j \in G \mid q_j \geq q_i \})$ or $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\})$ $= \mu(\{j \in G \mid q_j \geq q_i\})$ and $\mu(D) < \mu(G) + 1$. Thus, $r_i(D) > r_i(G+i)$ or $r_i(D) = r_i(G+i)$ and $\mu(D) < \mu(G+i)$. So i wants to move to G. Stability requires that the majority of agents at G do not allow i to move or that $\mu(\{j \in G \mid q_j > q_i\}) \leq \mu(\{j \in G \mid q_j \leq q_i\}) = \mu(G) - \mu(\{j \in G \mid q_j > q_i\})$, rearranging yields $\mu(G) \geq 2$ $\mu(\{j \in G \mid q_i > q_i\})$.

Next, assume that for all $i \in D \neq G$, $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\}) > \mu(\{j \in G \mid q_j \geq q_i\})$ or $\mu(\{j \in D \mid q_j \geq q_i\})$ and $\mu(D) < \mu(G) + 1$ implies $\mu(G) \geq 2 \mu(\{j \in G \mid q_j \geq q_i\})$, but that the partition is not stable. Thus, there exists some $i \in D \neq G$ who wants to and can join G. If i can join G, then $\mu(G) < 2\mu(\{j \in G \mid q_j \geq q_i\})$. If i wants to join G, then either $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\}) > \mu(\{j \in G \mid q_j \geq q_i\})$ or

 $\mu(\{j \in D \mid q_j \ge q_i \text{ and } j \ne i\}) = \mu(\{j \in G \mid q_j \ge q_i\})$ and $\mu(D) < \mu(G) + 1$. However, by assumption these inequalities imply that $\mu(G) \ge 2 \mu(\{j \in G \mid q_i > q_i\})$; this is a contradiction. \Diamond

Proposition 5: There exists at least one stable segregated partition.

Proof: Case 1: $n \ge m$. Let $\lfloor n/m \rfloor$ be the greatest integer not exceeding n/m. Let the remainder, $r = n - m \cdot \lfloor n/m \rfloor$. Consider the following segregated partition, σ_F . Place agents $\{q_1, q_2, ..., q_{\lfloor n/m \rfloor + r}\}$ at A. Place $\{q_{\lfloor n/m \rfloor + r + 1}, q_{\lfloor n/m \rfloor + r + 2, ..., q_{2\lfloor n/m \rfloor + r}}\}$ at B. Continue placing the next $\lfloor n/m \rfloor$ agents at the next location until the last $\lfloor n/m \rfloor$ agents are placed at M. Thus, $\mu(A) = \lfloor n/m \rfloor + r \ge \mu(B) = ... = \mu(M) = \lfloor n/m \rfloor$. If there exists $i \in D \ne G$ such that $\mu(\{j \in D \mid q_j \ge q_i \text{ and } j \ne i\}) \ge \mu(\{j \in G \mid q_j \ge q_i\})$, then by the construction of σ_F , D < G. Thus, if i joins G, he is the highest ranked person (or is tied for the top rank). So, $2\mu(\{j \in G \mid q_i > q_i\}) = 0 \le \mu(G)$ and the stability conditions of Theorem 2 are met.

Case 2: $n \le m$. Place each agent at a different location. An argument similar to that above shows that such a segregated partition is stable. \Diamond

Notice that at this segregated stable partition, high quality agents may want to move to a lower quality group to improve their rank. However, all agents at the lower quality group veto the move. Thus, such a segregated partition is also stable even under the stricter stability notion where only one group member's permission is needed in order to join the new group.

Example: Not all segregated partitions are stable. Let m=2, n=4, and $q_1>q_2>q_3>q_4$. The segregated partition $\{1\}=A$ and $\{2,3,4\}=B$ is not stable since 4 moves to A.

Note: An implicit assumption of the big fish payoff function is that a person is indifferent between being in a group with an agent of the same quality and being with an agent with strictly higher quality. We could have assumed instead that a person is indifferent between being in a group

with an agent of the same quality or being with an agent with strictly lower quality. We chose the former assumption to capture the notion that big fish agents do not wish to share the limelight. However, even if we instead chose the later assumption, Proposition 5 still holds true.¹² In order to simplify the proofs (and since we do not wish to focus on these issues) we assume in the remaining propositions that $q_1 > q_2 > ... > q_n$.¹³

Lemma 2: Let $q_I > ... > q_n$. There exists a segregated stable partition which is strongly Pareto efficient. **Proof:** Case 1: $n \ge m$. Assume agents are in the segregated stable partition, σ_F , of Proposition 5. Any agent currently ranked I^{st} is ranked I^{st} in any Pareto improvement otherwise that agent is made worse off. Thus, the same m agents are ranked I^{st} in our m locations, and all I^{st} ranked positions are occupied. Now consider agents who are currently ranked 2^{nd} . They also are ranked 2^{nd} in any Pareto improvement and all 2^{nd} ranked positions are occupied. Continue in this fashion. All $\lfloor n/m \rfloor^{\text{th}}$ ranked agents are ranked $\lfloor n/m \rfloor^{\text{th}}$ at any Pareto improvement and all $\lfloor n/m \rfloor^{\text{th}}$ positions are occupied. If r=0, then the current partition is strongly Pareto efficient. If r>0, consider the agent ranked $(\lfloor n/m \rfloor + 1)^{\text{th}}$; this agent is ranked $(\lfloor n/m \rfloor + 1)^{\text{th}}$ in any Pareto improvement. Since σ_F is segregated, this agent continues to be located with the agents he is originally located with at A as locating this agent in any

¹²One example of a segregated stable partition here involves placing agents with identical quality levels at the same location, for instance by placing all agents with the lowest quality level at one location, those with the second lowest at another location, and continuing in this fashion until just one location is left and placing all remaining agents there. Using logic similar to that in the proof of Proposition 5 one can show that this segregated partition is stable.

¹³Note that Lemma 2 still holds true even if $q_1 \ge q_2 \ge ... \ge q_n$. By assumption if $q_i = q_j$ and if i and j are located in the same group, then both agents receive the same rank that j receives in the case of $q_i \ge q_j$. Thus, in the segregated stable partition of Proposition 5, if some agents have identical quality levels, then these agents may receive lower rankings than in the case where $q_1 \ge q_2 \ge ... \ge q_n$. However, it is still true that raising one agent's quality level by moving him to a lower quality group decreases the rankings of the original agents in this lower group. Similarly, by construction of the original partition any other repartitioning of agents that increases one agent's rank decreases another's rank and is therefore not Pareto improving.

other group gives him a rank of I instead of $(\lfloor n/m \rfloor + 1)$. Continue in this fashion. Thus, the $(\lfloor n/m \rfloor + r)^{\text{th}}$ agent remains at A as well in any Pareto improvement and the original partition is strongly Pareto efficient.

Case 2: n < m. Assume each agent is placed at a different location. Thus, each agent is currently ranked first at his location. In order to increase any agent's payoff he should be ranked first in a larger group. However, the other members of such a larger group are made worse off, since they are no longer ranked first. \Diamond

Proposition 6 shows that an integrated stable partition always exists as long as n > m. (If $n \le m$, then each agent prefers to be at his own location. Thus, all stable partitions are trivially segregated.)¹⁴

Proposition 6: Let $q_1 > ... > q_n$. If $n > m \ge 2$, then there exists at least one stable integrated partition. **Proof:** Let $\lfloor n/m \rfloor$ be the greatest integer not exceeding n/m. Let the remainder $r = n - m \cdot \lfloor n/m \rfloor$. Let s = r+1 if $r \le l$ and let s = r otherwise. Consider the following integrated partition, σ_l . Place agents $\{q_2, q_3, ..., q_{\lfloor n/m \rfloor + s}\}$ at A. Place $\{q_1, q_{\lfloor n/m \rfloor + s + l}, q_{\lfloor n/m \rfloor + s + 2, ..., q_{2\lfloor n/m \rfloor + r}\}$ at B. (Note that since $n > m \ge 2$, $\mu(B) \ge 2$ and B is integrated.) Place $\{q_{2\lfloor n/m \rfloor + r + l}, q_{2\lfloor n/m \rfloor + r + 2, ..., q_{3\lfloor n/m \rfloor + r}\}$ at C. Continue by placing the next $\lfloor n/m \rfloor$ agents at the next location until the last $\lfloor n/m \rfloor$ agents are placed at M. Note that $\mu(A) = (\lfloor n/m \rfloor + s - l) \ge \mu(B) = (\lfloor n/m \rfloor + r - s + l) \ge \mu(C) = ... = \mu(M) = \lfloor n/m \rfloor$.

If there exists $i \in D \neq G$, with $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\}) > \mu(\{j \in G \mid q_j \geq q_i\})$ or $\mu(\{j \in D \mid q_j \geq q_i \text{ and } j \neq i\}) = \mu(\{j \in G \mid q_i \geq q_i\})$ and $\mu(D) < \mu(G) + I$, then either i = I or $i \neq I$ and D < G. If i = 1, then

Note that in Propositions 6 and 7 we assume that $q_1 > q_2 > ... > q_n$. If $q_1 \ge q_2 \ge ... \ge q_n$, then there may exist no integrated partition let alone an integrated stable partition. (For instance if $q_1 = q_2 = ... = q_n$, then no integrated partition exists.)

 $\mu(\{j\in B\mid q_j\geq q_i\ and\ j\neq i\})=0=\mu(\{j\in G\mid q_j\geq q_i\})$ for all $G\neq B$. So since $n\geq m\geq 2$, $\mu(G)\geq 1\geq 0=2\mu(\{j\in G\mid q_j\geq q_i\})$. If $i\neq 1$ and $D\leq G$, then since $q_1\geq ...\geq q_n$, $\mu(G)\geq 1\geq 0=2\mu(\{j\in G\mid q_j\geq q_i\})$. By Theorem 2, σ_I is stable. \Diamond

Proposition 6 shows that integration is fairly easy to achieve with the big fish payoff function. Here each agent wants to be the highest quality agent in the group, but does not care about the quality of the other agents in the group as long as their quality is below his. Thus, a high quality agent is willing to be located with low quality agents whereas under the average quality payoff function high quality agents prefer to be located with other high quality agents.

Proposition 7 shows that integration may occur when a new location is added to a segregated stable partition. The dynamic process which was described prior to Proposition 4 is used in Proposition 7 and the corresponding proof. As in the case of Proposition 4, the results of Proposition 7 are somewhat surprising since if enough new locations are added to an integrated stable partition, the dynamic process always leads to a segregated stable partition. (Here any agent ranked last at his current location prefers to move to an empty location.) Thus, one might think that adding new empty locations causes segregation, but Proposition 7 shows that this is not always true.

Proposition 7: Let $q_1 > q_2 > ... > q_n$. Assume agents are in a segregated stable partition where $l \in A$ and where there exists $D \neq A$ such that $\mu(D) \geq 3$. If a new location, Z, is added, then there exists an improving path leading the dynamic process to either an integrated stable partition or to a series of partitions where at least one location remains integrated at all times.¹⁵

 $^{^{15}}$ Specifically we show that if the lowest ranked agents at A and D are given the first chance to move to the new location, then all improving paths lead to either an integrated stable partition or to a series of partitions where at least one location remains integrated at all times.

Proof: Step 1: Convergence (or not) of the dynamic process. Since pairs of agents and locations are randomly identified every period in the dynamic process, with probability 1 the dynamic process cannot become stuck in an unstable partition. Thus, the dynamic process leads to either a stable partition or a series of partitions in which one agent changes locations at each step in the series. We show that in either case at least one location remains integrated at all times.

Step 2: Let $\{1,2,...,i\} = A$ and $\{j,j+1,...,k\} = D \neq A$ with $k-j \geq 2$. Note that segregation requires that $q_i > q_j$. If i=1, then k wants to move to A and I agrees to it. Thus, stability requires that i>1. Notice also that stability requires that no location is empty in σ_S (otherwise k is better off moving to this location which violates stability).

Step 3: Add Z. If i and then k are given the chance to move to Z, both do so.

Step 4: Check that no $j \in \{i+1, i+2,...,k-1\}$ joins Z. Currently $\{i,k\}=Z$. Agent k never allows j such that $q_j > q_k$ to move to Z; since strict majority approval is needed, the move does not occur. Therefore if ℓ joins Z, $q_{\ell} < q_k$; such a ℓ also votes against $j \in \{i+1,...,k-1\}$ joining Z.

Step 5: Check that i and k do not leave Z. Since $r_i(Z)=1$, i only wants to leave Z for G where $r_i(G+i)=1$ and $\mu(G+i)>\mu(Z)$. However, all the agents at G veto the move. Next, we check that k does not leave Z. Since $r_k(Z)=2$, k only wants to leave Z for G where $r_k(G+k)=1$ or for H where $r_k(H+k)=2$ and $\mu(H+k)>\mu(Z)$. However, k cannot move to G, since all agents at G veto the move. To move to G is also not possible since all agents ranked below him at G veto the move. G

5. Concluding Remarks

So far the average quality and big fish payoffs have been treated separately. However, it is also interesting to compare the two cases. We give a flavor of such a comparison here, but leave a

formal analysis of this issue as an open topic for future research. For instance, if some agents have big fish payoffs while others have average quality payoffs, then it is possible that no segregated stable partition exists, while we know from Propositions 1 and 5 that if all agents have average quality or all have big fish preferences, then a segregated stable partition always exists. To see this, let m=2, n=4, $q_1>q_2>q_3>q_4$, and let agents I and I have big fish preferences while I and I have average quality preferences. Consider the segregated partition where I and I are I and I and I and I and I are I and I and I and I are I and I and I and I are I and I and I are I and I and I are I and I are I and I are I and I and I are I and I and I are I are I and I are I and I are I are I and I are I and I are I and I are I and I are I

Finally another interesting open question is to examine what happens if agents care about both average quality and quality rankings.¹⁷ Here again one may expect segregation to be less likely as low ranked agents may prefer to offset their low rank by being in a high quality group and high quality agents with low ranks may want to improve their rank by moving to a low quality group.

¹⁶Notice here that to achieve stability we placed the top half of the average quality agents with the top half of the big fish agents at A and the bottom half of both types at B; such a partition is a natural extension of the partitions used to prove existence in Propositions 3 and 5. Such a partition often results in stability, but not always since it is possible that a big fish agent located at A wants to move to B and such a move is allowed if there are more average quality than big fish agents at B and if aq(B) increases. Thus, stability with mixed preferences is difficult to obtain and we leave it as an open question as to whether or not a stable partition always exists.

¹⁷Note that Damiano, Li and Suen [2004] examine location choice in a model with two locations each of fixed size where agents care about both average quality and quality rankings. Our model differs in that it allows for any number of locations and allows the number of agents at a certain location to be endogenous.

References

- Ballester, C. (2004). "NP-completeness in Hedonic Games," *Games and Economic Behavior* 49, 1-30.
- Banerjee, S., Konishi, H., and Sönmez, T. (2001). "Core in a Simple Coalition Formation Game," *Social Choice and Welfare* 18, 135-153.
- Bewley, T. (1981). "A Critique of Tiebout's Theory of Local Public Expenditures," *Econometrica* 49, 713-740.
- Bogomolnaia, A., and Jackson, M.O. (2002). "The Stability of Hedonic Coalition Structures," *Games and Economic Behavior* 38, 201-230.
- Burani, N., and Zwicker, W. (2003). "Coalition Formation Games with Separable Preferences," *Mathematical Social Sciences* 45, 27-52.
- Brams, S., Jones, M., and Kilgour, D.M. (2002). "Single-Peakedness and Disconnected Coalitions," *Journal of Theoretical Politics* 14, 359-383.
- Cechlárová, K., and Romero-Medina, A. (2001). "Stability in Coalition Formation Games," *International Journal of Game Theory* 29, 487-494.
- Damiano, E., Li, H. and Suen, W. (2004). "First in Village or Second in Rome?" Mimeo: University of Toronto.
- Diamontoudi, E., and Xue, L. (2003). "Farsighted Stability in Hedonic Games," *Social Choice and Welfare* 21, 39-61.
- Dimitrov, D., Borm, P., Hendrickx, R., and Sung, S. (2004). "Simple Priorities and Core Stability in Hedonic Games," forthcoming in *Social Choice and Welfare*.
- Dimitrov, D., and Sung, S. (2004). "Enemies and Friends in Hedonic Games: Individual Deviations, Stability and Manipulation," Tilburg University, Center for Economic Research, Discussion Paper: 111.
- Drèze, J., and Greenberg, J. (1980). "Hedonic Coalitions: Optimality and Stability," *Econometrica* 48, 987-1003.
- Frank, R. (1985). *Choosing the Right Pond: Human Behavior and the Quest for Status*. New York: Oxford University Press.

- Gravel, N. And Thoron, S. (2004). "Does Endogenous Formation of Jurisdictions Lead to Wealth Stratification?" Mimeo: GREQAM.
- Greenberg, J. (1978). "Pure and Local Public Goods: A Game-Theoretic Approach," in *Essays in Public Economics* (A. Sandmo, Ed.) Lexington, MA: Heath.
- Greenberg, J., and Weber, S. (1986). "Strong Tiebout Equilibrium under Restricted Preference Domain," *Journal of Economic Theory* 38, 101-117.
- Greenberg, J., and Weber, S. (1993). "Stable Coalition Structures with Unidimensional set of Alternatives," *Journal of Economic Theory* 60, 62-82.
- Guesnerie, R., and Oddou, C. (1981). "Second Best Taxation as a Game," *Journal of Economic Theory* 25, 67-91.
- Jackson, M.O., and Watts, A. (2002). "The Evolution of Social and Economic Networks," *Journal of Economic Theory* 106, 265-295.
- Jehiel, P., and Scotchmer, S. (1997). "Free Mobility and the Optimal Number of Jurisdictions," *Annales d'Economie et de Statistique* 0, 219-231.
- Konishi, H., Le Breton, M., and Weber, S. (1998). "Equilibrium in a Finite Local Public Goods Economy," *Journal of Economic Theory* 79, 224-244.
- Milchtaich, I., and Winter, E. (2002). "Stability and Segregation in Group Formation," *Games and Economic Behavior* 38, 318-346.
- Ök, E., and Kockesen, L. (2000). "Negatively Interdependent Preferences," *Social Choice and Welfare* 17, 533-558.
- Pápai, S. (2004). "Unique Stability in Simple Coalition Formation Games," *Games and Economic Behavior* 48, 337-354.
- Tiebout, C. (1956). "A Pure Theory of Local Expenditures," *Journal of Political Economy* 64, 416-424.
- Wooders, M. (1980). "The Tiebout Hypothesis: Near Optimality in Local Public Good Economies," *Econometrica* 48, 1467-1485.

NOTE DI LAVORO DELLA FONDAZIONE ENI ENRICO MATTEI

Fondazione Eni Enrico Mattei Working Paper Series

Our Note di Lavoro are available on the Internet at the following addresses:

http://www.feem.it/Feem/Pub/Publications/WPapers/default.html http://www.ssrn.com/link/feem.html http://www.repec.org http://agecon.lib.umn.edu

NOTE DI LAVORO PUBLISHED IN 2006

SIEV	1.2006	Anna ALBERINI: <u>Determinants and Effects on Property Values of Participation in Voluntary Cleanup Programs:</u> The Case of Colorado
CCMP	2.2006	Valentina BOSETTI, Carlo CARRARO and Marzio GALEOTTI: Stabilisation Targets, Technical Change and the
CCMP	3.2006	Macroeconomic Costs of Climate Change Control Roberto ROSON: Introducing Imperfect Competition in CGE Models: Technical Aspects and Implications
KTHC	4.2006	Sergio VERGALLI: The Role of Community in Migration Dynamics
KIIC	4.2000	Fabio GRAZI, Jeroen C.J.M. van den BERGH and Piet RIETVELD: Modeling Spatial Sustainability: Spatial
SIEV	5.2006	Welfare Economics versus Ecological Footprint
CCMP	6.2006	Olivier DESCHENES and Michael GREENSTONE: The Economic Impacts of Climate Change: Evidence from Agricultural Profits and Random Fluctuations in Weather
PRCG	7.2006	Michele MORETTO and Paola VALBONESE: Firm Regulation and Profit-Sharing: A Real Option Approach
SIEV	8.2006	Anna ALBERINI and Aline CHIABAI: Discount Rates in Risk v. Money and Money v. Money Tradeoffs
CTN	9.2006	Jon X. EGUIA: United We Vote
CTN	10.2006	Shao CHIN SUNG and Dinko DIMITRO: A Taxonomy of Myopic Stability Concepts for Hedonic Games
NRM	11.2006	Fabio CERINA (Ixxviii): Tourism Specialization and Sustainability: A Long-Run Policy Analysis
		Valentina BOSETTI, Mariaester CASSINELLI and Alessandro LANZA (lxxviii): Benchmarking in Tourism
NRM	12.2006	Destination, Keeping in Mind the Sustainable Paradigm
CCMP	13.2006	Jens HORBACH: Determinants of Environmental Innovation – New Evidence from German Panel Data Sources
KTHC	14.2006	Fabio SABATINI: Social Capital, Public Spending and the Quality of Economic Development: The Case of Italy
KTHC	15.2006	Fabio SABATINI: The Empirics of Social Capital and Economic Development: A Critical Perspective
CSRM	16.2006	Giuseppe DI VITA: Corruption, Exogenous Changes in Incentives and Deterrence
		Rob B. DELLINK and Marjan W. HOFKES: The Timing of National Greenhouse Gas Emission Reductions in
CCMP	17.2006	the Presence of Other Environmental Policies
IEM	18.2006	Philippe QUIRION: Distributional Impacts of Energy-Efficiency Certificates Vs. Taxes and Standards
CTN	19.2006	Somdeb LAHIRI: A Weak Bargaining Set for Contract Choice Problems
		Massimiliano MAZZANTI and Roberto ZOBOLI: Examining the Factors Influencing Environmental
CCMP	20.2006	Innovations
SIEV	21.2006	Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Work Incentive and Labor Supply
SIEV CCMP	21.2006 22.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the
CCMP	22.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve
		Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time?
CCMP	22.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction
CCMP NRM	22.2006 23.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic
CCMP NRM NRM	22.2006 23.2006 24.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective
CCMP NRM NRM SIEV	22.2006 23.2006 24.2006 25.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to
CCMP NRM NRM	22.2006 23.2006 24.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes
CCMP NRM NRM SIEV	22.2006 23.2006 24.2006 25.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland
CCMP NRM NRM SIEV	22.2006 23.2006 24.2006 25.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical
CCMP NRM NRM SIEV SIEV KTHC	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach
CCMP NRM NRM SIEV	22.2006 23.2006 24.2006 25.2006 26.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions
CCMP NRM NRM SIEV SIEV KTHC	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 29.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 29.2006 30.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 29.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (lxxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 29.2006 30.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (Ixxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret Andrea BIGANO and Paul SHEEHAN: Assessing the Risk of Oil Spills in the Mediterranean: the Case of the Route from the Black Sea to Italy
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC ETA	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 29.2006 30.2006 31.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (Ixxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret Andrea BIGANO and Paul SHEEHAN: Assessing the Risk of Oil Spills in the Mediterranean: the Case of the Route from the Black Sea to Italy Rinaldo BRAU and Davide CAO (Ixxviii): Uncovering the Macrostructure of Tourists' Preferences. A Choice
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC ETA IEM	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 30.2006 31.2006 32.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (Ixxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret Andrea BIGANO and Paul SHEEHAN: Assessing the Risk of Oil Spills in the Mediterranean: the Case of the Route from the Black Sea to Italy Rinaldo BRAU and Davide CAO (Ixxviii): Uncovering the Macrostructure of Tourists' Preferences. A Choice Experiment Analysis of Tourism Demand to Sardinia
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC ETA IEM	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 30.2006 31.2006 32.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (Ixxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret Andrea BIGANO and Paul SHEEHAN: Assessing the Risk of Oil Spills in the Mediterranean: the Case of the Route from the Black Sea to Italy Rinaldo BRAU and Davide CAO (Ixxviii): Uncovering the Macrostructure of Tourists' Preferences. A Choice Experiment Analysis of Tourism Demand to Sardinia Parkash CHANDER and Henry TULKENS: Cooperation, Stability and Self-Enforcement in International
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC ETA IEM NRM CTN	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 30.2006 31.2006 32.2006 33.2006 34.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (Ixxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret Andrea BIGANO and Paul SHEEHAN: Assessing the Risk of Oil Spills in the Mediterranean: the Case of the Route from the Black Sea to Italy Rinaldo BRAU and Davide CAO (Ixxviii): Uncovering the Macrostructure of Tourists' Preferences. A Choice Experiment Analysis of Tourism Demand to Sardinia Parkash CHANDER and Henry TULKENS: Cooperation, Stability and Self-Enforcement in International Environmental Agreements: A Conceptual Discussion
CCMP NRM NRM SIEV SIEV KTHC CCMP IEM KTHC ETA IEM NRM	22.2006 23.2006 24.2006 25.2006 26.2006 27.2006 28.2006 30.2006 31.2006 32.2006 33.2006	Marzio GALEOTTI, Matteo MANERA and Alessandro LANZA: On the Robustness of Robustness Checks of the Environmental Kuznets Curve Y. Hossein FARZIN and Ken-ICHI AKAO: When is it Optimal to Exhaust a Resource in a Finite Time? Y. Hossein FARZIN and Ken-ICHI AKAO: Non-pecuniary Value of Employment and Natural Resource Extinction Lucia VERGANO and Paulo A.L.D. NUNES: Analysis and Evaluation of Ecosystem Resilience: An Economic Perspective Danny CAMPBELL, W. George HUTCHINSON and Riccardo SCARPA: Using Discrete Choice Experiments to Derive Individual-Specific WTP Estimates for Landscape Improvements under Agri-Environmental Schemes Evidence from the Rural Environment Protection Scheme in Ireland Vincent M. OTTO, Timo KUOSMANEN and Ekko C. van IERLAND: Estimating Feedback Effect in Technical Change: A Frontier Approach Giovanni BELLA: Uniqueness and Indeterminacy of Equilibria in a Model with Polluting Emissions Alessandro COLOGNI and Matteo MANERA: The Asymmetric Effects of Oil Shocks on Output Growth: A Markov-Switching Analysis for the G-7 Countries Fabio SABATINI: Social Capital and Labour Productivity in Italy Andrea GALLICE (Ixxix): Predicting one Shot Play in 2x2 Games Using Beliefs Based on Minimax Regret Andrea BIGANO and Paul SHEEHAN: Assessing the Risk of Oil Spills in the Mediterranean: the Case of the Route from the Black Sea to Italy Rinaldo BRAU and Davide CAO (Ixxviii): Uncovering the Macrostructure of Tourists' Preferences. A Choice Experiment Analysis of Tourism Demand to Sardinia Parkash CHANDER and Henry TULKENS: Cooperation, Stability and Self-Enforcement in International

ETA	37.2006	Maria SALGADO (lxxix): Choosing to Have Less Choice
ETA	38.2006	Justina A.V. FISCHER and Benno TORGLER: Does Envy Destroy Social Fundamentals? The Impact of Relative Income Position on Social Capital
ETA	39.2006	Benno TORGLER, Sascha L. SCHMIDT and Bruno S. FREY: Relative Income Position and Performance: An Empirical Panel Analysis
CCMP	40.2006	Alberto GAGO, Xavier LABANDEIRA, Fidel PICOS And Miguel RODRÍGUEZ: <u>Taxing Tourism In Spain:</u> Results and Recommendations
IEM	41.2006	Karl van BIERVLIET, Dirk Le ROY and Paulo A.L.D. NUNES: An Accidental Oil Spill Along the Belgian Coast: Results from a CV Study
CCMP	42.2006	Rolf GOLOMBEK and Michael HOEL: Endogenous Technology and Tradable Emission Quotas
KTHC	43.2006	Giulio CAINELLI and Donato IACOBUCCI: The Role of Agglomeration and Technology in Shaping Firm
		Strategy and Organization Alvaro CALZADILLA, Francesco PAULI and Roberto ROSON: Climate Change and Extreme Events: An
CCMP	44.2006	Assessment of Economic Implications
SIEV	45.2006	M.E. KRAGT, P.C. ROEBELING and A. RUIJS: Effects of Great Barrier Reef Degradation on Recreational Demand: A Contingent Behaviour Approach
NRM	46.2006	C. GIUPPONI, R. CAMERA, A. FASSIO, A. LASUT, J. MYSIAK and A. SGOBBI: <u>Network Analysis, Creative System Modelling and DecisionSupport: The NetSyMoD Approach</u>
KTHC	47.2006	Walter F. LALICH (lxxx): Measurement and Spatial Effects of the Immigrant Created Cultural Diversity in
KTHC	48.2006	Sydney Elena PASPALANOVA (lxxx): Cultural Diversity Determining the Memory of a Controversial Social Event
KTHC	49.2006	Ugo GASPARINO, Barbara DEL CORPO and Dino PINELLI (lxxx): Perceived Diversity of Complex Environmental Systems: Multidimensional Measurement and Synthetic Indicators
KTHC	50.2006	Aleksandra HAUKE (lxxx): Impact of Cultural Differences on Knowledge Transfer in British, Hungarian and Polish Enterprises
KTHC	51.2006	Katherine MARQUAND FORSYTH and Vanja M. K. STENIUS (lxxx): The Challenges of Data Comparison and
LTLIC	52 2006	<u>Varied European Concepts of Diversity</u> Gianmarco I.P. OTTAVIANO and Giovanni PERI (lxxx): Rethinking the Gains from Immigration: Theory and
KTHC	52.2006	Evidence from the U.S.
KTHC KTHC	53.2006 54.2006	Monica BARNI (lxxx): From Statistical to Geolinguistic Data: Mapping and Measuring Linguistic Diversity Lucia TAJOLI and Lucia DE BENEDICTIS (lxxx): Economic Integration and Similarity in Trade Structures
KTHC	55.2006	Suzanna CHAN (lxxx): "God's Little Acre" and "Belfast Chinatown": Diversity and Ethnic Place Identity in
KTHC	56.2006	Belfast Diana PETKOVA (lxxx): Cultural Diversity in People's Attitudes and Perceptions
KTHC	57.2006	John J. BETANCUR (lxxx): From Outsiders to On-Paper Equals to Cultural Curiosities? The Trajectory of Diversity in the USA
KTHC	58.2006	Kiflemariam HAMDE (lxxx): Cultural Diversity A Glimpse Over the Current Debate in Sweden
KTHC	59.2006	Emilio GREGORI (lxxx): Indicators of Migrants' Socio-Professional Integration
KTHC	60.2006	Christa-Maria LERM HAYES (lxxx): <u>Unity in Diversity Through Art? Joseph Beuys' Models of Cultural</u> Dialogue
KTHC	61.2006	Sara VERTOMMEN and Albert MARTENS (lxxx): Ethnic Minorities Rewarded: Ethnostratification on the Wage Market in Belgium
KTHC	62.2006	Nicola GENOVESE and Maria Grazia LA SPADA (lxxx): Diversity and Pluralism: An Economist's View
KTHC	63.2006	Carla BAGNA (lxxx): <u>Italian Schools and New Linguistic Minorities: Nationality Vs. Plurilingualism. Which</u>
KTHC	64.2006	Ways and Methodologies for Mapping these Contexts? Vedran OMANOVIĆ (lxxx): Understanding "Diversity in Organizations" Paradigmatically and Methodologically
KTHC	65.2006	Mila PASPALANOVA (lxxx): Identifying and Assessing the Development of Populations of Undocumented
KTHC	66.2006	Migrants: The Case of Undocumented Poles and Bulgarians in Brussels Roberto ALZETTA (lxxx): Diversities in Diversity: Exploring Moroccan Migrants' Livelihood in Genoa
		Monika SEDENKOVA and Jiri HORAK (lxxx): Multivariate and Multicriteria Evaluation of Labour Market
KTHC	67.2006	Situation Did MCORG At A DE DE AGENT CONTRACTOR CONTRA
KTHC	68.2006	Dirk JACOBS and Andrea REA (lxxx): Construction and Import of Ethnic Categorisations: "Allochthones" in The Netherlands and Belgium
KTHC	69.2006	Eric M. USLANER (lxxx): <u>Does Diversity Drive Down Trust?</u> Paula MOTA SANTOS and João BORGES DE SOUSA (lxxx): <u>Visibility & Invisibility of Communities in Urban</u>
KTHC	70.2006	<u>Systems</u>
ETA	71.2006	Rinaldo BRAU and Matteo LIPPI BRUNI: Eliciting the Demand for Long Term Care Coverage: A Discrete Choice Modelling Analysis
CTN	72.2006	Dinko DIMITROV and Claus-JOCHEN HAAKE: Coalition Formation in Simple Games: The Semistrict Core
CTN	73.2006	Ottorino CHILLEM, Benedetto GUI and Lorenzo ROCCO: On The Economic Value of Repeated Interactions Under Adverse Selection
CTN	74.2006	Sylvain BEAL and Nicolas QUÉROU: Bounded Rationality and Repeated Network Formation
CTN	75.2006	Sophie BADE, Guillaume HAERINGER and Ludovic RENOU: Bilateral Commitment
CTN	76.2006	Andranik TANGIAN: Evaluation of Parties and Coalitions After Parliamentary Elections
CTN	77.2006	Rudolf BERGHAMMER, Agnieszka RUSINOWSKA and Harrie de SWART: Applications of Relations and Graphs to Coalition Formation
CTN	78.2006	Paolo PIN: Eight Degrees of Separation
CTN	79.2006	Roland AMANN and Thomas GALL: How (not) to Choose Peers in Studying Groups

CIDA	00.2006	W : MONTERO I A M. I I
CTN CCMP	80.2006 81.2006	Maria MONTERO: Inequity Aversion May Increase Inequity Vincent M. OTTO, Andreas LÖSCHEL and John REILLY: Directed Technical Change and Climate Policy
CSRM	82.2006	Nicoletta FERRO: Riding the Waves of Reforms in Corporate Law, an Overview of Recent Improvements in Italian Corporate Codes of Conduct
CTN	83.2006	Siddhartha BANDYOPADHYAY and Mandar OAK: Coalition Governments in a Model of Parliamentary Democracy
PRCG	84.2006	Raphaël SOUBEYRAN: Valence Advantages and Public Goods Consumption: Does a Disadvantaged Candidate Choose an Extremist Position?
CCMP	85.2006	Eduardo L. GIMÉNEZ and Miguel RODRÍGUEZ: Pigou's Dividend versus Ramsey's Dividend in the Double Dividend Literature
CCMP	86.2006	Andrea BIGANO, Jacqueline M. HAMILTON and Richard S.J. TOL: The Impact of Climate Change on
KTHC	87.2006	<u>Domestic and International Tourism: A Simulation Study</u> Fabio SABATINI: Educational Qualification, Work Status and Entrepreneurship in Italy an Exploratory Analysis
CCMP	88.2006	Richard S.J. TOL: The Polluter Pays Principle and Cost-Benefit Analysis of Climate Change: An Application of
CCMP	89.2006	Fund Philippe TULKENS and Henry TULKENS: The White House and The Kyoto Protocol: Double Standards on Uncertainties and Their Consequences
SIEV	90.2006	Andrea M. LEITER and Gerald J. PRUCKNER: Proportionality of Willingness to Pay to Small Risk Changes –
PRCG	91.2006	The Impact of Attitudinal Factors in Scope Tests Raphäel SOUBEYRAN: When Inertia Generates Political Cycles
CCMP	92.2006	Alireza NAGHAVI: Can R&D-Inducing Green Tariffs Replace International Environmental Regulations?
CCMP	93.2006	Xavier PAUTREL: Reconsidering The Impact of Environment on Long-Run Growth When Pollution Influences
CCMP	94.2006	Health and Agents Have Finite-Lifetime Corrado Di MARIA and Edwin van der WERF: Carbon Leakage Revisited: Unilateral Climate Policy with Directed Technical Change
CCMP	95.2006	Paulo A.L.D. NUNES and Chiara M. TRAVISI: Comparing Tax and Tax Reallocations Payments in Financing Rail Noise Abatement Programs: Results from a CE valuation study in Italy
CCMP	96.2006	Timo KUOSMANEN and Mika KORTELAINEN: Valuing Environmental Factors in Cost-Benefit Analysis Using
		<u>Data Envelopment Analysis</u> Dermot LEAHY and Alireza NAGHAVI: Intellectual Property Rights and Entry into a Foreign Market: FDI vs.
KTHC	97.2006	Joint Ventures
CCMP	98.2006	Inmaculada MARTÍNEZ-ZARZOSO, Aurelia BENGOCHEA-MORANCHO and Rafael MORALES LAGE: The Impact of Population on CO2 Emissions: Evidence from European Countries
PRCG	99.2006	Alberto CAVALIERE and Simona SCABROSETTI: Privatization and Efficiency: From Principals and Agents to Political Economy
NRM	100.2006	Khaled ABU-ZEID and Sameh AFIFI: Multi-Sectoral Uses of Water & Approaches to DSS in Water Management in the NOSTRUM Partner Countries of the Mediterranean
NRM	101.2006	Carlo GIUPPONI, Jaroslav MYSIAK and Jacopo CRIMI: Participatory Approach in Decision Making Processes for Water Resources Management in the Mediterranean Basin
CCMP	102.2006	Kerstin RONNEBERGER, Maria BERRITTELLA, Francesco BOSELLO and Richard S.J. TOL: Klum@Gtap: Introducing Biophysical Aspects of Land-Use Decisions Into a General Equilibrium Model A Coupling
KTHC	103.2006	Experiment Avner BEN-NER, Brian P. McCALL, Massoud STEPHANE, and Hua WANG: Identity and Self-Other
		<u>Differentiation in Work and Giving Behaviors: Experimental Evidence</u> Aline CHIABAI and Paulo A.L.D. NUNES: <u>Economic Valuation of Oceanographic Forecasting Services: A Cost-</u>
SIEV	104.2006	Benefit Exercise Paola MINOIA and Anna BRUSAROSCO: Water Infrastructures Facing Sustainable Development Challenges:
NRM	105.2006	Integrated Evaluation of Impacts of Dams on Regional Development in Morocco
PRCG	106.2006	Carmine GUERRIERO: Endogenous Price Mechanisms, Capture and Accountability Rules: Theory and Evidence
CCMP	107.2006	Richard S.J. TOL, Stephen W. PACALA and Robert SOCOLOW: <u>Understanding Long-Term Energy Use and Carbon Dioxide Emissions in the Usa</u>
NRM	108.2006	Carles MANERA and Jaume GARAU TABERNER: The Recent Evolution and Impact of Tourism in the Mediterranean: The Case of Island Regions, 1990-2002
PRCG	109.2006	Carmine GUERRIERO: Dependent Controllers and Regulation Policies: Theory and Evidence
KTHC	110.2006	John FOOT (lxxx): Mapping Diversity in Milan. Historical Approaches to Urban Immigration
KTHC	111.2006	Donatella CALABI: Foreigners and the City: An Historiographical Exploration for the Early Modern Period
IEM	112.2006	Andrea BIGANO, Francesco BOSELLO and Giuseppe MARANO: Energy Demand and Temperature: A Dynamic Panel Analysis
SIEV	113.2006	Anna ALBERINI, Stefania TONIN, Margherita TURVANI and Aline CHIABAI: Paying for Permanence: Public Preferences for Contaminated Site Cleanup
CCMP	114.2006	Vivekananda MUKHERJEE and Dirk T.G. RÜBBELKE: Global Climate Change, Technology Transfer and Trade with Complete Specialization
NRM	115.2006	Clive LIPCHIN: A Future for the Dead Sea Basin: Water Culture among Israelis, Palestinians and Jordanians
CCMP	116.2006	Barbara BUCHNER, Carlo CARRARO and A. Denny ELLERMAN: The Allocation of European Union
CCMP	117.2006	Allowances: Lessons, Unifying Themes and General Principles Richard S.J. TOL: Carbon Dioxide Emission Scenarios for the Usa

NRM	118.2006	Isabel CORTÉS-JIMÉNEZ and Manuela PULINA: A further step into the ELGH and TLGH for Spain and Italy
SIEV	119.2006	Beat HINTERMANN, Anna ALBERINI and Anil MARKANDYA: Estimating the Value of Safety with Labor
SIEV	119.2000	Market Data: Are the Results Trustworthy?
SIEV	120.2006	Elena STRUKOVA, Alexander GOLUB and Anil MARKANDYA: Air Pollution Costs in Ukraine
CCMP	121.2006	Massimiliano MAZZANTI, Antonio MUSOLESI and Roberto ZOBOLI: A Bayesian Approach to the Estimation
		of Environmental Kuznets Curves for CO ₂ Emissions
ETA	122.2006	Jean-Marie GRETHER, Nicole A. MATHYS, and Jaime DE MELO: Unraveling the World-Wide Pollution
		<u>Haven Effect</u>
KTHC	123.2006	Sergio VERGALLI: Entry and Exit Strategies in Migration Dynamics
PRIV	124.2006	Bernardo BORTOLOTTI and Valentina MILELLA: Privatization in Western Europe Stylized Facts, Outcomes
		and Open Issues
SIEV	125.2006	Pietro CARATTI, Ludovico FERRAGUTO and Chiara RIBOLDI: Sustainable Development Data Availability on
		the Internet
SIEV	126.2006	S. SILVESTRI, M PELLIZZATO and V. BOATTO: Fishing Across the Centuries: What Prospects for the Venice
SIL (<u>Lagoon?</u>
CTN	127.2006	Alison WATTS: Formation of Segregated and Integrated Groups

(lxxviii) This paper was presented at the Second International Conference on "Tourism and Sustainable Economic Development - Macro and Micro Economic Issues" jointly organised by CRENoS (Università di Cagliari and Sassari, Italy) and Fondazione Eni Enrico Mattei, Italy, and supported by the World Bank, Chia, Italy, 16-17 September 2005.

(lxxix) This paper was presented at the International Workshop on "Economic Theory and Experimental Economics" jointly organised by SET (Center for advanced Studies in Economic Theory, University of Milano-Bicocca) and Fondazione Eni Enrico Mattei, Italy, Milan, 20-23 November 2005. The Workshop was co-sponsored by CISEPS (Center for Interdisciplinary Studies in Economics and Social Sciences, University of Milan-Bicocca).

(lxxx) This paper was presented at the First EURODIV Conference "Understanding diversity: Mapping and measuring", held in Milan on 26-27 January 2006 and supported by the Marie Curie Series of Conferences "Cultural Diversity in Europe: a Series of Conferences.

	2006 SERIES
CCMP	Climate Change Modelling and Policy (Editor: Marzio Galeotti)
SIEV	Sustainability Indicators and Environmental Valuation (Editor: Anna Alberini)
NRM	Natural Resources Management (Editor: Carlo Giupponi)
КТНС	Knowledge, Technology, Human Capital (Editor: Gianmarco Ottaviano)
IEM	International Energy Markets (Editor: Matteo Manera)
CSRM	Corporate Social Responsibility and Sustainable Management (Editor: Giulio Sapelli)
PRCG	Privatisation Regulation Corporate Governance (Editor: Bernardo Bortolotti)
ETA	Economic Theory and Applications (Editor: Carlo Carraro)
CTN	Coalition Theory Network