# STANFORD INSTITUTE FOR ECONOMIC POLICY RESEARCH 

SIEPR Discussion Paper No. 07-50

# Marrying Up: the Role of Sex Ratio in Assortative Matching 

By<br>Ran Abramitzky<br>Stanford University<br>Adeline Delavande<br>Universidade Nova de Lisboa<br>Luís Vasconcelos<br>Universidade Nova de Lisboa

July 2008

Stanford Institute for Economic Policy Research
Stanford University
Stanford, CA 94305
(650) 725-1874

The Stanford Institute for Economic Policy Research at Stanford University supports research bearing on economic and public policy issues. The SIEPR Discussion Paper Series reports on research and policy analysis conducted by researchers affiliated with the Institute. Working papers in this series reflect the views of the authors and not necessarily those of the Stanford Institute for Economic Policy Research or Stanford University.

# Marrying Up: the Role of Sex Ratio in Assortative Matching* 

Ran Abramitzky<br>Stanford University

Adeline Delavande<br>Universidade Nova de Lisboa<br>and Rand Corporation

Luís Vasconcelos<br>Universidade Nova de Lisboa

July 2008


#### Abstract

We investigate the effect of a change in the sex ratio on assortative matching in the marriage market using a large negative exogenous shock to the French male population due to WWI casualties. We analyze a novel data set that links marriage-level data to both French censuses of population and regional data on military mortality. We instrument the potentially endogenous sex ratio with military mortality, which exhibits exogenous geographic variation. We find that men married women of higher social class than themselves (married up) more in regions that experienced a larger decrease in the sex ratio due to higher military mortality. A decrease in the sex ratio from one man for every woman to 0.90 men for every woman increased the probability that men married up by 8.2 percentage points. These findings shed light on individuals' preferences for spouses. Rather than preferring to marry spouses with similar characteristics, individuals seem to prefer to marry higher-class spouses, but cannot do so when the sex ratio is balanced.


JEL Code: J12, N34
Keywords: Marriage, sex ratio, assortative matching, social classes.

[^0]
## I. Introduction

Positive assortative matching in the marriage market by spouses' characteristics such as income, education, occupation, age, religion, and ethnicity is a well-known and widespread phenomenon (e.g., Hout 1982, Mare 1991, Kalmijn 1998, Blossfeld and Timm 2003). ${ }^{1}$ Moreover, the tendency of individuals to marry others with similar traits has important implications for social inequality, income redistribution, fertility, education, and labor supply (e.g., Fernandez and Rogerson 2001). However, there is still little understanding about what generates this assortative matching. One possibility is that individuals have horizontal preferences. That is, they may choose spouses who share similar characteristics simply because they derive more utility from marrying people like themselves. ${ }^{2}$ Alternatively, individuals may have vertical preferences, meaning they prefer to marry "up," i.e. to marry someone exhibiting better characteristics (such as higher income or higher education), but cannot, because they do not receive marriage proposals from such people. ${ }^{3}$ Finally, individuals may have the opportunity to meet only people who share their characteristics. We use unique data on a negative exogenous shock to the male population to investigate which of these preferences and constraints are responsible for assortative matching, or marriage by "class."

Identifying which of the above mechanisms underlies the equilibrium matching outcomes in the marriage market is challenging: they all generate observationally equivalent outcomes, i.e. assortative matching whereby people marry by "class." Our identification strategy relies on the fact that under different preferences an exogenous change in the sex ratio has a different impact on equilibrium marriage outcomes. Specifically, if individuals marry by class because they intrinsically prefer a spouse with similar characteristics, or because they only meet potential partners with the same background, an exogenous decrease in the proportion of men in the population would have a limited effect on the assortative matching: men would continue to marry women of the same class. If instead individuals prefer spouses of higher class than themselves, the same decrease in the proportion of men would improve the position of men in the marriage market and eventually enable them to marry women from higher classes who were previously inaccessible.

We exploit the regrettable fact that World War I (WWI), one of the deadliest conflicts in recent human history, produced an exogenous and unusually large shock in the French male population.

[^1]Approximately $16.5 \%$ of French soldiers were reported dead or missing after the war (Huber, 1931). The First World War in France provides an ideal setting to test the effect of the sex ratio on marriage by social class for the following reasons. First, the ratio of men aged 18 to 59 to women aged 15 to 49 decreased from 1,087 men per 1,000 women in 1911 to 992 men per 1,000 women in 1921 in an exogenous way as a result of the military mortality. ${ }^{4}$ Second, military mortality varied substantially across regions, ranging from $5 \%$ to $23 \%$ of men aged 18 to 59 (see Figure 1.1), largely because of different regiment call-ups. This variation generated substantial heterogeneity in sex ratios across regions, reaching 864 men per 1,000 women in some regions, allowing us to precisely evaluate the impact of the sex ratio on assortative matching. Finally, unlike in many other wars, military mortality was uniform across occupations, which we use to define social class, implying that the distribution of social classes in the population remained essentially unchanged by the war (see Table 1.1). This fact rules out the hypothesis that changes in marriage by class following the war were mechanically driven by changes in the distributions of classes.

We analyze the impact of this massive decrease in the male population on marriage by social class in France using a new data set which links marriage-level data to both French censuses of population and regional data on military mortality. Classes are assigned to individuals using marriage certificate data that provide information on the occupations of the brides, grooms, and their parents, as well as the place and date of each marriage. Based on either the occupations of the bride and groom or the occupations of their fathers, we allocate individuals into seven ordered social classes using the Historical International Social Class Scheme (HISCLASS) developed by van Leeuwen and Maas (2005a). These social classes, based on dimensions such as the degree of supervision required to perform the job, the skill level required, whether the job is manual or not, and the economic sector, were carefully constructed to categorize individuals according to their life chances. There was considerable assortative matching by social class before WWI: $43 \%$ of men married women of the same social class, and the distance between the social classes of spouses was 1 or less for $68 \%$ of couples. Based on the locations of the marriages, we link the marriage-level data with the French censuses of 1911, 1921 and 1926. These contain region-level information that allows us to construct the sex ratio for all the French départements (regional unit), as well as other département-level control variables. ${ }^{5}$ We also use military mortality data from the French ministry of defense to compute, for

[^2]each département, the military mortality rate corresponding to the number of dead soldiers as the percentage of the pre-war male population.

We use two empirical strategies to analyze the effect of a change in the sex ratio. First, we compare the distribution of brides' classes for each class of groom before and after the war. Second, we exploit the exogenous regional variation in sex ratio due to war mortality to investigate more directly the relationship between sex ratio and marriage outcomes. We use three alternative dependent variables to capture whether and to what degree men married women of higher classes (i.e., married up), namely (i) the difference between the social class of the bride and that of the groom; (ii) a dummy for whether the groom married a bride of higher class than his; and (iii) a dummy for whether the groom married a bride of low social class, meaning a bride in one of the three lowest classes according to HISCLASS classification. As alternative independent variables of interest we use départementspecific sex ratios and mortality rates. We also use mortality rates as an instrument for sex ratio, which may be endogenous because of the possible selection of internal migrants.

We include département fixed effects to control for permanent differences between French départements, and also include a time trend. The analysis also controls for other marriage-level characteristics that might affect assortative matching such as the groom's class, the spouses' ages, and whether the marriage took place in a rural area. In addition, we control for the contemporaneous distribution of women's occupations to account for possible changes in the labor force due to the war, as well as for the excess of foreign men over foreign women, to account for the possibility that foreign men (mainly Italians) migrated to France after the war and competed with French men for local brides.

Overall, we find that the decrease in sex ratio caused by war-related mortality allowed men to marry higher class women. Specifically, a decrease in the (instrumented) sex ratio from one man for every woman to 0.90 men for every woman corresponds to (i) an increase in the average class of bride for a given class of groom of 0.27 , meaning for instance that if class 4 men married on average class 4 women when the sex ratio was even, they would marry on average class 3.73 women under a 0.90 -to- 1 sex ratio; (ii) an increase in the probability that men would marry women of (weakly) higher class than themselves of 8.2 percentage points; and (iii) a decrease in the probability that a given groom would marry a low class bride of 18.5 percentage points. As a robustness check, we test whether the effect of sex ratio on assortative matching is different in rural locations, where search frictions, meeting technology and preferences might be different compared with urban locations. We find a similar effect of sex ratio in rural and urban areas.

We view these findings as evidence that on average individuals prefer higher-class partners. This favors the hypothesis that assortative matching occurs because in equilibrium individuals cannot marry
higher-class people, although they may wish to do so. In addition, we find heterogeneity in the effect of the sex ratio by groom's class, with men of the lowest classes, namely low-skilled and unskilled farm workers, benefiting the least from the sex ratio imbalance. A possible explanation is that while high and middle-class women were willing to marry men from lower social classes, they were not willing to accept proposals from men of very low social class.

While the main focus of this paper is assortative matching by social class, there are clearly other dimensions of "attractiveness" individuals consider when choosing a spouse. Our data allow us to study assortative matching by another important such dimension, namely age. Specifically, we investigate whether the decrease in sex ratio due to war mortality changed the spousal age gap. We employ the same empirical strategies described above, and find a higher decrease in the age gap between grooms and brides in départements with higher mortality. Given that grooms are, on average, older than their brides, these results are consistent with men preferring women who are closer to their own age.

Starting with the seminal work of Becker $(1973,1974)$, economists have devoted considerable attention to understanding marriage markets. ${ }^{6}$ In particular, an important issue in the empirical literature of the marriage market has been the characterization of individuals' preferences for spouses. This characterization is difficult because equilibrium outcomes in the marriage markets are not only determined by preferences, but also by the mechanisms that match men and women. One strand of the literature deals with the identification problem by performing structural estimations of marriage models using marriage outcomes data (e.g., Wong 2003, Bisin et al. 2004, Choo and Siow 2006). In a second strand of the literature based on speed and online dating data (e.g., Ariely, Hitsch and Hortacsu 2006, Belot and Francesconi 2006, Fisman et al. 2006, Lee 2007), the identification issue is overcome by the fact that individuals' dating decisions (rather than just final outcomes) are observed in environments where the matching mechanism is controlled. This paper too characterizes individuals' preferences for spouses. Our identification strategy relies on the fact that different preferences for spouses imply a change in the sex ratio has different effects on assortative matching.

This paper is also related to the empirical literature on the relationship between the sex ratio and the marriage market (e.g., Cox 1940, Easterlin 1961, Guttentag and Secord, 1983). A potential problem of these studies, mitigated to a large extent in Angrist (2002), Charles and Luoh (2005), Brainerd (2007), and Lafortune (2008) is that there may be reverse causality between sex ratios and

[^3]marriage market outcomes. ${ }^{7}$ The exogenous geographic variation of sex ratio due to the war mortality also allows us to overcome this problem. We add to these papers by focusing on the effect of the change in sex ratio on assortative matching.

By looking at the impact of a change in the sex ratio on marriage outcomes, this paper sheds light on possible adjustments in the marriage market induced by a change in the relative scarcity of men or women. Rao (1993), Grossbard-Shechtman (1993), Botticini $(1999,2003)$ and Edlund (2000) suggest that one adjustment is through dowries. Becker (1974, 1981), Bergstrom (1994), Willis (1999), Neal (2004), among others, suggest that a consequence of the imbalance in sex ratio is the emergence of polygamy, including "serial polygamy" (divorce and re-marriage) and relationships leading to out-of-wedlock births. Becker (1973, 1981), Chiappori et al. (2001) and references therein point out that a possible adjustment is a change in the share appropriated by each spouse of the surplus generated by marriage. In this paper, we highlight marrying above one's own class as another possible and potentially complementary adjustment when the scarcity of men increases. The social ascension of men in post-WWI France that we document enhances our understanding of the economic and social history of France after the Great War. Unbalanced sex ratios are, however, far from being limited to the past. Our paper suggests that we may observe social ascension of women in countries like China and India, where there are disproportionately many men relative to the number of women in the marriage market.

This paper is organized as follows. In Section 2 we describe the historical context surrounding WWI in France. In Section 3 we present the theoretical framework that motivates our empirical analysis of marriage by social class. The data are described in Section 4. In Sections 5 and 6 we present the empirical strategy and main results. Section 7 describes the results of assortative matching by age.

## 2. Historical Context

WWI, or the Great War, was a global and deadly military conflict that lasted from July 1914 until November 1918. In this section, we present a brief description of the war-related mortality and its implications for marriage and celibacy rates in France.

### 2.1 Mobilization and mortality during WWI in France: a global phenomenon

[^4]Throughout the war, France undertook a universal mobilization. Over the war period, about 8 million Frenchmen born between 1867 and 1899 were drafted or voluntarily enrolled in the army (Huber, 1931). ${ }^{8}$ To highlight the scope of this mobilization, note that 8.8 million men aged 18 to 51 were registered in the 1911 census, and that the overall French population in 1911 was approximately 33.2 million. Younger cohorts were more heavily drafted than older cohorts: more than $90 \%$ of men born between 1894 and 1896, $80 \%$ of those born between 1876 and 1896 and about $60 \%$ of the older cohorts were drafted in the army. Exemptions were extremely rare. During the war, the French army reviewed all exempt cases and drafted a large proportion of men who were initially exempted, including those who had been injured early in the war.

As a result of this general mobilization and the violence of the conflict, military casualties were enormous. 1.397 million men, or $16.5 \%$ of the enrolled soldiers and officers, were reported dead or missing in action at the end of the war. Military mortality was quite homogenous across military ranks: about $16 \%$ of French soldiers and $19 \%$ of French officers died or were reported missing. Similarly, mortality across occupations seems to have been quite uniform. Table 2.1 presents the distribution of fatalities by occupations at age 20 while Table 1.1 shows the distribution of the labor force by economic sectors from the 1906 and 1921 censuses. ${ }^{9}$ Although the occupation categories differ slightly between the two tables, the distribution of fatalities by occupations is very similar to that of men in the labor force. For example, $41.5 \%$ of the casualties worked in agriculture at age 20 while the 1906 census shows that $43 \%$ of men in the labor force were hired in the agricultural sector. Similar striking comparisons can be made with sales, industry and liberal professions. ${ }^{10}$ Moreover, the comparison between the 1906 and 1921 censuses in Table 1.1 shows that there were only minor changes in the distribution by sector during that period. The most notable facts are the increases in the proportion of men working in the industrial sectors and of individuals in the labor force. Women's occupations were also little affected by the war. Between 80 and $95 \%$ of the women who replaced men in the metalworking industry during the war were already working before the war, most often in textiles, clothing or services (Downs, 1995). Furthermore, these women were sent back home or to their old occupations at the end of the war, leaving female occupations largely unchanged (Becker, 1999).

[^5]Although mortality was uniform across military rank and occupations, there was some heterogeneity in mortality rates by age and geographical region. Younger men were more likely to die. Men born between 1892 and 1895 were the most affected ( 27 to $29 \%$ of them died), while men born between 1883 and 1891 experienced mortality rates from $19.2 \%$ to $24.1 \%$. Older cohorts of men aged 40 and above at the beginning of the war suffered from the lowest mortality rates ( $10 \%$ or less). Across geographical regions, mortality rates ranged from $5 \%$ in the département of Alpes-Maritime to $23 \%$ in the département of Lozère.

In addition to military casualties, deaths among civilians amounted to 3.7 million during the period 1914 to 1918 , with the peak of mortality being caused by the 1918 Spanish flu epidemic. ${ }^{11}$ This total number of deaths is equivalent to an average of 623 thousand deaths per year over the years 1914 to 1919, which can be compared with 587.4 thousand deaths in total in 1913 . We can similarly evaluate the impact of the war on civilian deaths by comparing the number of deaths per 10,000 inhabitants, which increased from 179 in 1913 to 215 during the war. ${ }^{12}$ Among the civilian population, the mortality rate was higher for men than women ( 256 versus 186 per 10,000 ), and the increase in mortality rate was the most striking for men aged 15 to 45 .

### 2.2 Marriage market in France

The $19^{\text {th }}$ century and the beginning of the $20^{\text {th }}$ century were characterized by a stable celibacy rate of $10 \%$ to $13.5 \%$, and a high marriage rate (Dupaquier, 1988). The marriage rate, which measures the number of new spouses per 10,000 inhabitants, was approximately 150 at the end of the $19^{\text {th }}$ century. In 1907 , it reached 160 , which may have been the result of a new law simplifying the formalities associated with getting married. The average marriage rate of the 1908 to 1913 period was 158 , which puts France at a high rank among European nations. ${ }^{13}$

After the onset of the war, the total number of marriages diminished sharply, reaching its lowest value in 1915 ( 75,200 marriages compared with 247,900 in 1913). After 1915, the marriage rate started to increase again, though at a slow pace, as a system of regular permissions took place. By 1919, the marriage rate exceeded its 1913 value. More than 2 million marriages took place in the 4 years following the end of the war (Armangaud, 1965). While the marriage rate increased everywhere after the war, there was heterogeneity by regions, with higher marriage rates on the Atlantic coast and in the industrial regions of Paris and Northern France (Huber, 1931).

[^6]Figure 2.1 shows the total number of first marriages for women by cohort for the period 1900 to 1950 and highlights how the war disturbed women's marriage patterns. For women born in 1891 to 1895, the distribution of marriages is literally cut in half with a first part of the distribution before the conflict and the second part concentrated in a few years after the war. To some extent, the cohort 18861890 experienced a similar effect. For women born in 1896-1900, the distribution of marriages is characterized by a large and narrow peak after the war.

In addition to the change of the timing of marriages due to the war, the marriage market was deeply affected by the sharp drop in the male population. The war mortality changed the sex ratio dramatically: while there were 997 men for every 1,000 women in 1911, the ratio became 909 for 1,000 in 1921 (Huber, 1931). If we restrict to the population of marriageable age ( 18 to 59 years old for men and 15 to 49 years old for women ${ }^{14}$ ), the sex ratio decreased from 1,087 men per 1,000 women in 1911 to 992 men per 1,000 women in 1921, reaching 864 in some regions with high mortality rates. ${ }^{15}$ If we focus on singles, widows and divorcees who were 30 or less but of marriageable age, there were approximately 2 men for every 3 women (Huber, 1931).

As a consequence of the imbalance in the sex ratio, many women remained single in the post-war period. Figure 2.2 emphasizes the huge increase in female celibacy rates as measured by the percentage of singles at age 50 . In particular, women were more likely to remain single after the war in départements with high mortality rates. ${ }^{16}$

Similarly, Figure 2.2 shows a large decrease in male celibacy rates among the individuals in cohorts affected by the war. This suggests that, to compensate for the shortage of men, some men who would otherwise have remained single got married. Henry (1966) emphasizes two other mechanisms of compensation: an increase of marriages to foreigners, and a change in the age gap between spouses with men getting married to older women. In Section 7, we explore the effect of the unbalanced sex ratio on the change in age gap.

While in the $19^{\text {th }}$ century marriage was the norm, divorce was a rare phenomenon. In the periods immediately before and after WWI, divorce rates remained low: 4 divorces per 100 new marriages in 1913 and 6 divorces per 100 new marriages in 1925 (Segalen, 1981).

[^7]Assortative matching according to social class and geographic location was prevalent in the beginning of the $20^{\text {th }}$ century (Segalen, 1981). ${ }^{17}$ Based on a survey conducted on a sample of couples who married between 1914 and 1959, Girard (1974) finds that, despite the growth of urban agglomerations, higher geographic mobility, and more frequent occasions of meeting people of the other sex, there is clear assortative matching between husbands and wives according to proximity of residence, age, social classes and height. ${ }^{18}$

Girard (1974) also provides detailed information about spouses' meeting. For the period 19141930, the most common place was in their neighborhood ( $21 \%$ ), followed by meeting at friends' places ( $17 \%$, including $10 \%$ of "arranged meetings"), at work ( $16 \%$ ) and at a ball ( $13 \%$ ). There was some heterogeneity across the husband's occupation. Managers, employees, skilled workers and farmers were more likely to meet their spouse in their neighborhood, while unskilled workers, salesmen and craftsmen were more likely to meet their spouse at a ball (Bozon and Heran, 1987).

## 3. Theoretical Framework

A robust prediction of marriage models is that the position of men in the marriage market improves with a reduction in the sex ratio. Depending on preferences, men could marry up or they could improve their bargaining position inside the marriage even if they continue to marry the same class women. In the framework suggested by Burdett and Coles (1997) and Bloch and Ryder (2000), individuals prefer to marry up, and a decrease in the sex ratio allows men to do so. Other marriage models suggest other adjustments of the marriage markets as responses to a relative scarcity of men, and do not necessarily imply that men would marry higher class women. In Becker's (1973, 1974 and 1981) frictionless model of the marriage market, an increase in men's scarcity induces a decrease in the supply of men in the marriage market, implying that men appropriate more of the surplus generated by their marriage. More recently, Chiappori, Fortin and Lacroix (2001) presented a model of household bargaining and the distribution of resources inside the family. In their model, a reduction in the sex

[^8]ratio increases men's bargaining power within the household and in the marriage market. ${ }^{19}$ Unfortunately, we do not have information on relative bargaining power within the household, so we cannot test this important implication of these theories.

In this section, we consider the impact of a change in the sex ratio on marriage by class under different assumptions about individuals' preferences for characteristics in a spouse and the constraints they face in the marriage market. For concreteness, we focus on a sudden decrease in the sex ratio when initially the number of men and women in the population is balanced. Consider first the cases in which (i) individuals prefer partners with similar characteristics to themselves, i.e., men and women prefer to marry within class (horizontal preferences) and (ii) individuals only meet partners from the same class. In both cases, the analysis of the impact of a change in the sex ratio on marriage by class is straightforward. Men continue to marry women of their own class. The difference relative to the initial situation is that now a fraction of women in each class remains single.

A natural framework to analyze the effect of changes in the sex ratio on marriage behavior when individuals prefer to marry up rather than within class is that of Burdett and Coles (1997) and Bloch and Ryder (2000) who apply to the marriage market the matching framework pioneered by Mortensen (1982), Diamond (1982) and Pissarides (1990). Burdett and Coles (1997) and Bloch and Ryder (2000) consider a marriage market with search frictions and heterogeneous agents. Each individual, man or woman, is characterized by a real number; this number corresponds to an attractiveness index that measures how attractive the individual is to potential partners. If a man and a woman marry, the woman's gain from the marriage equals the man's index and man's gain from the marriage equals the woman's index. So, individuals gain more by marrying higher-index individuals. A crucial aspect of the model is that singles in the market meet singles of the opposite sex only every now and then - the search friction. When two singles meet, they observe each other's attractiveness index and decide whether to propose or not. A marriage occurs if both singles propose. If at least one of the singles does not propose, they separate and continue searching for another partner. Search costs are embodied in a discount factor that captures individuals' impatience to get married. A single's decision to propose given contact with a potential partner depends on (i) the partner's index, (ii) the rate at which the single meets other singles of the opposite sex, and (iii) the single's expectation about who will propose to her (or him) upon contact.

In this marriage market, proposing today as opposed to waiting introduces a tradeoff. Waiting allows the possibility of a higher index match, but is costly since individuals discount the future.

[^9]Classes emerge endogenously in equilibrium. Singles partition themselves into classes according to their index levels. To illustrate why this is the case, suppose that the attractiveness indices of men and women lie in the interval $[0,1]$. Consider now the problem faced by a man with the highest index. Every woman proposes to this man, thus he faces an unconstrained search problem. Consequently, his optimal strategy is a threshold strategy, i.e., to propose to women whose indices are above a given value, and not propose to other women. Let $w_{1}<1$ denote this threshold value. A consequence of this behavior on the men's side is that women with index in ( $\left.w_{1}, 1\right]$ are accepted by the highest-quality men and therefore by every type of men. Thus, all women in ( $w_{1}, 1$ ] face the same unconstrained search problem. As such, their optimal strategy is to accept men with indexes above a certain threshold value and reject all others. Let $m_{1}$ denote that threshold. Men with indices in $\left(m_{1}, 1\right]$ form a class - they are the men of class one; and women with indices in ( $w_{1}, 1$ ] also form a class--they are the women of class one. In equilibrium, men of class 1 only marry women of class 1 , and vice versa. Consider now the highest-index woman $w_{1}$ and the highest-index man $m_{1}$ who remains on the market. Woman $w_{1}$ is accepted by any man in $\left[0, m_{1}\right]$ and man $m_{1}$ is accepted by any woman in $\left[0, w_{1}\right]$. We can thus apply the same reasoning as above to obtain threshold values $w_{2}$ and $m_{2}$. Men with indices in ( $\left.m_{2}, m_{1}\right]$ and women with indices in ( $w_{2}, w_{1}$ ] form another class, class two. Again, women of class two only marry man of class two, and vice versa. Applying the same argument in a recursive way, we can obtain all the other classes. Therefore, in equilibrium there is assortative matching; men and women only marry individuals of the same class. In this model men and women would like to marry singles of higher classes, but they cannot.

We now analyze the impact of a sudden reduction in the male population on equilibrium marriage behavior using this framework. A reduction in the male population affects the marriage market by affecting the rate at which singles meet. Assuming that a reduction in the male population (while keeping the female population constant) reduces the total number of meetings between singles, one immediately obtains that the meeting rate for single women decreases. Since a reduction in the meeting rate reduces a woman's prospects of meeting potential partners in the future, her valuation of rejecting a man in a contact and remaining single decreases. Thus, women become less selective and are willing to accept men of lower quality. Formally, with a reduction in the male population, there is a redefinition of the men's classes. Let $m_{1}, m_{2}, m_{3} \ldots, m_{\mathrm{n}}$ denote the thresholds that initially define men's classes. A reduction in the male population implies a reduction in those thresholds. If that reduction is sufficiently severe, the number of classes of men may decrease. ${ }^{20}$ If we additionally assume that with a

[^10]reduction of the number of men the rate at which single men meet single women increases, then women's classes also change. With a higher rate of meeting single women, a man's valuation of rejecting a woman in a given match and remaining single increases. As a consequence, men can afford to become more selective. Formally, this implies an increase in the thresholds $w_{1}, w_{2}, w_{3} \ldots, w_{\mathrm{n}}$ that define women's classes. A consequence of a decrease in thresholds $m_{1}, m_{2}, m_{3} \ldots, m_{\mathrm{n}}$ and/or an increase in thresholds $w_{1}, w_{2}, w_{3} \ldots, w_{\mathrm{n}}$ is that men tend to marry higher-quality women. Putting it in terms of classes, and fixing classes as being those prior to the change in the sex ratio, this means that men of a given class now marry women of higher classes and women of a given class now marry men of lower classes than they did before the decrease in the male population.

## 4. Data

The data we use in this paper come from several sources. In this section, we present the various data sets.

### 4.1. The TRA data set

The TRA data set is the result of a survey, "l'enquête des 3,000 familles", that collects data on the descendants of 3,000 couples who got married between 1803 and 1832 in metropolitan France. This project, undertaken by the Ecole des Hautes Etudes en Sciences Sociales, aims at analyzing social and geographical mobility in France in the $19^{\text {th }}$ and $20^{\text {th }}$ centuries. Dupaquier (2004) presents in detail the sampling design and logistics of the data collection. We briefly summarize these below.

The 3,000 families selected between 1803 and 1832 were representative of the French population at the time (one family per 10,000 inhabitants). Data on birth, marriage and death certificates were collected. ${ }^{21}$ Geographical quotas were used to ensure geographical representativeness: the number of couples sampled per département was proportional to its population from the 1806 census. Then, in each département, a random sample of couples was drawn among those whose name starts with the letters "TRA," such as Trarieux, Trabit, etc... The letters TRA were chosen to allow names from various local dialects to be represented in the sample, as well as to ensure representativeness of all the social classes (Pélissier et al., 2005). The descendants of the TRA families and their spouses were followed until 1986. To avoid an exponential growth of the sample size through time, the descendants of women (who lost their TRA name upon marriage) are not included in the sample. Dupaquier (2004) points out two potential selections of the TRA data set. The aristocracy

[^11]might be under-represented, and foreign migrants who came after 1832 are not included in the sample. ${ }^{22}$

In this paper, we use data from marriage certificates from two periods around WWI: 1909-1914 and 1918-1928. ${ }^{23}$ Marriage certificates contain the following information: year and département of marriage, ages and occupations of both spouses, and occupations of their parents. ${ }^{24}$ In addition, we know whether the marriage took place in a rural area. We have observations on 1,688 marriages before the war and 4,509 after it. We use the data on occupations to allocate brides and grooms to social classes. To do this, we first match each occupation present in our data set to a code from the Historical International Standard Classification of Occupations (HISCO). HISCO is a detailed coding system designed to facilitate the comparison of historical international data. It is based on the 1968 International Standard Classification of Occupations (ISCO68), and customized for historical data (van Leeuwen et al., 2002). HISCO allocates each occupation to one of 7 sectors: (1) Professional, (2) Technical and Related Workers Administrative and Managerial Workers, (3) Clerical and Related Workers, (4) Sales Workers, (5) Service Workers, (6) Agricultural, Animal Husbandry and Forest Workers, Fishermen and Hunters and (7) Production and Related Workers, Transport Equipment Operators and Laborers. Each of these sectors is itself divided into smaller sub-sectors. For example, codes of the type $6-\mathrm{xx} . \mathrm{xx}$ correspond to the agricultural sector. Codes of the type $6-2 \mathrm{x} . \mathrm{xx}$ refer to agricultural workers. This last group includes codes of the type 6-22.xx for field crop and vegetable farm workers and these, in turn, contain more specific occupational categories such as wheat farm workers (coded as 6-22.30) (van Leeuwen and Maas, 2005a). The HISCO classification contains about 1,600 occupations characterized by 5 -digit codes. We allocate to all the occupations in our data set a 5 digit HISCO code using a mapping available on the History of Work Information System website (http://historyofwork.iisg.nl/).

[^12]The HISCO classification refers to economic sectors, which do not necessarily correspond to homogenous "social" classes. To map occupations into social classes, we use the Historical International Social Class Scheme (HISCLASS) developed by van Leeuwen and Maas (van Leeuwen and Maas, 2005a). The HISCLASS system allocates all the HISCO occupations into 12 social classes, where a "social class" is defined by van Leeuwen and Maas (2005a) as "a set of persons with the same life chances." The mapping of occupations into social class takes into account whether the occupation is manual, and if it requires special skills or involves supervision. To increase the sample size in each class, in this paper we use the version of HISCLASS condensed into the following 7 social classes:

- Class 1: Higher managers and professionals
- Class 2: Lower managers and professionals, clerical and sales personnel
- Class 3: Foremen and skilled workers
- Class 4: Farmers and fishermen
- Class 5: Lower-skilled workers
- Class 6: Unskilled workers
- Class 7: Lower-skilled and unskilled farm workers

This 7-class classification has been used in other works, and in particular in works using the TRA data set, to study social mobility and endogamy (Pélissier et al. 2005, Holt 2005, Bull 2005, Schumacher and Lorenzetti 2005, Arrizabalaga 2005, Lanzinger 2005, Dribe and Christer Lundh 2005, Van de Putte et al. 2005, Bras and Kok 2005, van Leeuwen and Maas, 2005b, 2005c).

Our main definition of social class is based on brides' and grooms' own occupations. There are, however, a few potential issues with using own occupations as a measure of social class to compare assortative matching before and after the war. First, the unbalanced sex ratio could potentially induce individuals to change their occupations. This does not seem to have occurred in the short period analyzed in this paper, as the occupation distribution of men and women in the labor force changed very little after the war. Furthermore, in our analysis of the impact of the sex ratio on assortative matching, we control for the distributions of women's occupations in each department to account for department-specific potential changes in women's labor force opportunities. Second, the unbalanced sex ratio may change age at marriage, which in turn may affect occupation at marriage. To address this potential issue, we control for the ages of brides and grooms which allows us to capture the effect of the sex ratio on social class that goes beyond its effect on age. In Section 7.3, we examine the effect of the sex ratio on spousal age gap.

Another important issue when using own occupation as a measure of class is how to assign class for brides without occupations, who account for $35-40 \%$ of all brides (see Table 4.1). Brides without occupations might either be of low social class (if they have low skills and status) or of high social class (if they have high status and do not need to work). We start by excluding brides without occupations from the analysis. Then, in Section 6.3.5, we impute class for brides without occupations using two alternative approaches. The first is to impute the class of brides without occupations with their fathers' classes. The idea is that men perceive a woman without an occupation as having her father's class. However, father's class is missing for almost half of our sample and may not be missing at random. Thus, our second approach is to impute class for brides without occupations and brides with missing occupations by using the predicted class obtained from an OLS regression of bride's class on marriage-level and individual-level information. We show in Appendix H that the results are similar when imputing bride's class using the two approaches described.

We also use an alternative way to define social class, namely based on brides' fathers' and grooms' fathers' occupations. For some brides and grooms to be, the occupations of their fathers may have been more important than their own occupations, while others might have cared more about the characteristics of their future spouse than about the characteristics of his or her father. Moreover, a main advantage of father's class is that it is pre-determined and not likely to respond to the marriage market conditions and to the change in the sex ratio. A disadvantage of using fathers' social classes is that fathers' classes are missing for almost half of the observations so the remaining sample is small. In Appendix B, we show that results are similar when fathers' social classes are used instead of own classes, but the results are weaker and less statistically significant in some specifications.

In Table 4.1, we present the distribution of brides, grooms and their fathers when classified according to the above 7 social classes (class 1 being the highest, and class 7 being the lowest). Classes 2 to 5 are the most numerous, and there are very few brides of the highest and the lowest classes (classes 1 and 7).

### 4.2 The French censuses

The French census data for the years 1906, 1911 and 1921 are available from Inter-university Consortium for Political and Social Research (2007). The 1926 census data are available from archives at the library of the National Institute for Statistics and Economic Studies (INSEE). We link the year and département of each marriage in the TRA data set to département-level information available from the censuses. In particular, we construct for these three years the sex ratio in each département, which
we define as the ratio of the number of males aged 18 to 59 to the number of females aged 15 to 49 . The average sex ratio is 1.12 in 1911 and 1.02 in 1921, when it ranges from 0.86 to 1.23 .

We also construct indicators of women's occupations to capture the distribution of social class of potential brides faced by grooms (when using own occupations to define social class), and the distribution of men's occupations to capture the distribution of social class of potential brides' fathers faced by grooms' fathers (when using fathers' occupations to define social class). ${ }^{25}$ Specifically, the proportion of females and males who are: (i) managers, (ii) employees, (iii) workers, (iv) selfemployed and (v) unemployed. ${ }^{26}$ To account for the role of foreigners in the marriage market (see Section 2 and Henry, 1966), we construct a variable measuring the excess of foreign males over foreign females in 1911, 1921 and $1926 .{ }^{27}$ Finally, we construct variables of the proportions of females in various age categories to capture the distribution of ages of potential brides faced by grooms. Table 4.2 presents descriptive statistics of these variables for before the war (1906 or 1911) and after the war (1921). ${ }^{28}$ It shows that there were few changes in the occupation structure of men and women. The only notable change is a shift from self-employment to employees. Note also that our indicator of the excess of foreign males over foreign females captures the increase in immigration that followed WWI.

### 4.3 Military mortality

We use military mortality data from the French ministry of defense. ${ }^{29}$ About 1.3 million men were classified as "dead for France" ("mort pour la France") during WWI. This denomination includes men who died in combat, and men who died because of injuries or illness contracted while serving in the army..

In the empirical analysis, we use information about the number of dead soldiers by département of birth (a total of 1,227,796 soldiers in continental France and Corsica for whom we observe birth département ${ }^{30}$ ). Specifically, we use it to compute, for each département, the military mortality rate, which is defined as the number of dead soldiers as a percentage of the male population aged 18 to 59 in 1911. Figure 1.1 shows the geographical variation in the military mortality rate across France. This

[^13]mortality rate ranges from 5 percent in the southern département of Alpes-Maritime to 23 percent in the département of Lozere. The mean and median mortality rates are about 12.5 percent.

In addition to the natural randomness associated with war casualties, a few other factors may explain the regional heterogeneity in military mortality rate. During the first years of the war, men residing in the same military regions were typically sent together to the same war zones. ${ }^{31}$ This was because soldiers were supposed to serve in their military regions of residence, and because men living in regions with high population density were sent together to the battlefront to complement the troops of the northeastern regions where most of the fighting was taking place (Boulanger, 2001; Maurin, 1992). ${ }^{32}$ The heterogeneity in military mortality may thus be partially explained by the fact that men from different départements participated in battles of different violence levels. Military mortality in 1914 and 1915 constitutes about 49 percent of the total military deaths during WWI: 23 percent of the overall war casualties occurred in 1914, and 26 percent in 1915 (Becker, 1999). After 1916, men from different military regions were more mixed together at the battlefront for two reasons. First, starting in 1915 but only fully implemented in 1916, the army adopted a national rather than regional conscription scheme to improve the allocation of men and skills to war zones (Boulanger, 2001). Second, the army started to dissolve regiments and mixed soldiers from different regions (Maurin, 1992). The reasons for this mixing are not documented by the army, but Maurin (1992) advances several hypothesis, including the desire of the generals to spread out casualties across regions and to limit the possibilities for mutiny by mixing together soldiers who did not know each other and who might even speak different dialects.

However, these changes did not eliminate the regional differences in mortality. One possible reason for this seems to be that participation rates in the military varied by region. Explanations for this phenomenon remain speculative. Boulanger (2001) points out some factors. First, while draft policies were national, ultimate authority lay with the general of the military region. Generals' personal interpretations or applications of directives may have differed, generating regional variations in exemption rates and rates of recovery of initially exempted men. Second, the rate of voluntary engagement was unequal, with higher proportions volunteering closer to the front and in places where entering the army was highly regarded by society. ${ }^{33}$ Finally, regional differences in labor force specialization may have contributed to some extent to this heterogeneity because the army required

[^14]specific skills during the war (e.g., knowledge about how to work leather or wood, or how to raise horses).

## 5. Empirical Strategy

If men and women prefer higher class spouses, then we would expect men (women) to marry higher class women (men) when the sex ratio, i.e. the ratio of men of marriageable age to women of marriageable age, is lower (higher). The exogenous change in sex ratio due to the war allows us to address the question of how the sex ratio affects marital assortative matching. We first establish that in pre-WWI France marriage was not random, i.e. people tended to marry within class. Second, we test the hypothesis that men married brides of higher class after the war than before the war. Finally, we test the hypothesis that men married women of higher class than themselves (married up) more in regions where more men died and where the sex ratio was lower.

### 5.1 Testing for pre-WWI assortative matching

Our first test aims to determine whether prior to WWI men tended to marry women of the same or similar class to themselves. If class was irrelevant for marriage, the distribution of bride classes would be the same for each class of groom. The null hypothesis of our test is that pre-war grooms chose brides randomly from the class distribution of pre-war brides.

To implement this test, we compare the realized distribution of social distance, defined as the class of the bride minus the class of the groom, with the distribution we would expect under the null hypothesis that pre-war grooms married randomly. Using a bootstrapping method, we construct $95 \%$ confidence intervals for the distribution of social distance under the null hypothesis. Specifically, denote the number of pre-war marriages in our sample by $N$. From the distribution of groom classes, we draw $N$ grooms randomly with replacement; from the distribution of bride classes we draw $N$ brides randomly with replacement. We match the list of grooms with the list of brides, and derive the distribution of social distances for this simulated set of marriages. We repeat this process 1000 times. For each possible value of social distance, namely for every integer from -6 to +6 , we order the 1000 simulated proportions of marriages with that social distance, and take the middle 950 as the 95 percent confidence interval.

An observed distribution of social distance with a higher peak and lower tails than the confidence intervals would indicate that grooms tended to marry brides of similar class to themselves, as opposed to matching randomly.

### 5.2 Testing for a change in the distribution of brides' classes

Second, we test whether, for each class of groom, the distribution of classes of brides was the same after WWI as before WWI. For each groom class, we plot the CDFs of bride class before the war and after the war in départements with mortality rates above the median. We then construct $95 \%$ confidence intervals for the CDFs using a bootstrapping method similar to that explained above.

### 5.3 Testing the effect of military deaths and of the unbalanced sex ratio on marriage by class

Finally, we subject the hypothesis that men married up after the war to regression analysis. The regressions also allow us to test the hypothesis that men married up more in regions where more men died or where the sex ratio was lower.

### 5.3.1 OLS, probit and ordered probit specifications

We run the OLS regressions pooling grooms of all classes, and include a dummy variable for each groom class. The most general form of the regressions is:

$$
\begin{equation*}
Y_{i j t}=\alpha_{j}+\beta t+\lambda M_{j t}+\mu X_{j t}+\delta Z_{i j t}+\varepsilon_{i j t}, \tag{1}
\end{equation*}
$$

where $i$ is a marriage, $j$ is a département (county), and $t$ is the year of the wedding. We use three alternative dependent variables $Y$ : (1) the difference between the class of the bride and the class of the groom; (2) a dummy for whether the groom married a bride of his own class or higher; and (3) a dummy for whether the groom married a low class bride, meaning a bride of class 5,6 , or $7 . M$ is the explanatory variable of interest, which we take to be either the sex ratio, or military mortality as a percentage of the pre-war (1911) male population, or the predicted sex ratio instrumented with military mortality. We set military mortality to zero for marriages that occurred before the war. We cluster standard errors at the level of variation in $M .{ }^{34}$

The $\alpha_{j}$ are coefficients on the département dummies and $\beta$ is the coefficient on the linear time trend. $X_{j t}$ are other controls that vary across geography and time, such as variables capturing the occupational distribution of the population of women in the area and the excess of foreign men over foreign women. $Z_{i j t}$ are additional controls that vary at the individual level such as whether the marriage took place in a rural location. The variables used in the analysis are described in more detail in Appendix C.

[^15]Appendix D (described below) shows that the results are robust when probit and ordered probit regressions are used instead of OLS.

Note that the lowest class is class 7 and the highest class is class 1 (see Section 4). Thus, men marry better when they marry a lower-index class bride. Note also that when the dependent variable is a dummy for whether the groom married a bride of class at least as high as his own, observations with class 7 grooms must be dropped, because this class necessarily marries weakly up.

### 5.3.2. Instrumental variable specifications

As pointed in the literature (e.g., Angrist 2002, Kerwin and Luoh 2005), studies that analyze the impact of the sex ratio on the marriage market may suffer from omitted variable bias and possibly reverse causality. For example, in our context, a low sex ratio may indicate strong male out-migration. If migrants are selected positively or negatively according to unobservable variables that are relevant for marriage outcomes (e.g., groom's ability or health), the random error term in the equation above may be correlated with the sex ratio. Take for example the case of health (denoted here by $H_{i j t}$ ) as omitted variable correlated with sex ratio because of migration. The correct OLS specification should be:

$$
\begin{equation*}
Y_{i j t}=\alpha_{j}+\beta t+\lambda M_{j t}+\mu X_{j t}+\delta Z_{i j t}+\eta H_{i j t}+\varepsilon_{i j t} . \tag{2}
\end{equation*}
$$

If equation (2) is the correct specification but we omit $H_{i j t}$ from the estimation, the expected value of the estimator of $\lambda$ will be:

$$
E(\hat{\lambda})=\lambda+\eta \frac{\operatorname{cov}\left(M_{j t}, H_{i j t}\right)}{\operatorname{var}\left(M_{j t}\right)} .
$$

We expect good health to improve the groom's position in the marriage market, i.e. if $Y_{i j t}$ denotes the dummy for marrying up, we expect $\eta>0$. The direction of the omitted variable bias thus depends on the sign of $\operatorname{cov}\left(M_{j t}, H_{i j t}\right)$, where $M_{j t}$ denotes the sex ratio. If migrants tend to be in better health than non-migrants, we expect to find men in better health than average in places with high sex ratios $\left(\operatorname{cov}\left(M_{j t}, H_{i j t}\right)>0\right)$, in which case the estimator of $\lambda$ will be biased upward. If migrants tend to be in poorer health than non-migrants, the estimator of $\lambda$ will be biased downward. ${ }^{35}$

[^16]In order to deal with this potential issue, we use an instrumental variable (IV) approach. For our strategy to be valid, we need an instrument that predicts the sex ratio but is not directly related to marriage outcomes. We use département-level military mortality, which exhibits exogenous geographical variation (see Section 4.3), as an instrument for the département-level sex ratio. Given the universality of the military draft, military mortality is correlated with the post-war sex ratio. However, we do not expect military mortality to have a direct effect on marriage outcomes. This instrument is zero before the war and equal to the département-level mortality rates after the war. The instrumental variable specification uses (in both the first and the second stage) the same controls as the OLS specification presented above.

## 6. Assortative matching by social class

### 6.1. Testing pre-WWI assortative matching

We first use pre-war data to test whether people marry within class as opposed to randomly. We do so by examining the distribution of social distance, defined as the class of the bride minus the class of the groom, among pre-war marriages. For example, when people marry within class, the social distance is zero. When a groom of class 1 (the highest class) marries a bride of class 7 (the lowest class), the social distance is 6 . The observed points in Figure 6.1 show the actual distribution of prewar social distance for the marriages in our sample. The $95 \%$ confidence interval was derived by bootstrapping under the null hypothesis that grooms match randomly from the class distribution of observed brides.

The observed distribution lies outside the confidence interval for most social distances. For brides and grooms of the same class (i.e. at social distance zero), the observed proportion is nearly twice as large as the upper boundary of the confidence interval. For the other social distances between -4 and +4 , the observed proportions lie close to or below the lower bounds of the confidence intervals. For the extreme social distances, the observed proportions are approximately zero.

Overall, the figure clearly rejects the null of random matching. Grooms in the pre-war period were much more likely to marry brides of their own class than chance would dictate, and were much less likely to marry brides who were socially distant from them.

### 6.2. Change in distribution of brides' classes

Having established that men chose brides non-randomly from women of different classes and that the ratio of men to women was lower after WWI than before it, we now consider whether men of different classes married women of higher class after the war relative to before it, as theory would predict.

The seven panels of Figure 6.2 show, for each class of groom, the cumulative distribution functions (CDFs) of bride classes before and after the war. For these figures we use data only from the départements with military mortality rates above the median, where we expect the pre-war/post-war difference to be the most pronounced. ${ }^{36}$ A dashed red post-war line that lies above the solid black prewar line indicates the groom class tended to marry higher class brides after the war than before it. For all classes except the lowest, class 7, the post-war line lies largely, if not entirely, above the pre-war line, indicating that grooms of these classes married brides of higher class after the war than before it. To formally test whether these differences are statistically significant, we construct $95 \%$ confidence intervals of the pre-war CDFs using a bootstrapping approach. For classes 2 to 6 , we can reject the hypothesis that the pre-war and post-war CDFs are equal in favor of the alternative hypothesis that post war grooms were more likely to marry higher class brides. ${ }^{37}$

Overall, it appears that, if we do not take into account other factors that changed between the pre-war and post-war periods, groom of classes 2 to 6 married higher class brides after the war than before it.

### 6.3. Impact of change in military deaths and sex ratio on marriage by class

We next subject the hypothesis that men married up after the war to regression analysis. The regressions also allow us to use the exogenous geographical variation in military mortality in WWI. If improvements in the marriage outcomes of men after the war are caused by the mechanism we propose, these improvements will be greatest in regions where military mortality or the change in the sex ratio was largest.

To examine the direct relationship between military mortality and marriage outcomes, we run OLS regressions that use either military mortality or sex ratio, and IV regressions that use military mortality as an instrument for the sex ratio, to predict whether and to what extent men married up. For the two dependent variables that take only values of zero or one, namely the dummy for married up

[^17](second dependent variable) and the low class bride dummy (third dependent variable), we also run probit regressions in addition to OLS. Tables D1 and D2 of Appendix D show that the results are robust when probit is used instead of OLS. As an alternative to the OLS specifications that predict class difference and include dummy variables for the class of the groom as controls, we run ordered probits that predict the class of the bride and control for the groom's class. Table D3 of Appendix D shows that the results are robust to this ordered probit specification.

Across the specifications with our three different dependent variables, namely the class difference between the bride and the groom, a dummy variable for marrying up and a dummy variable for low bride class, the coefficient on mortality, the sex ratio, or the instrumented sex ratio is of the expected sign and significant at conventional significance levels, including when département dummies, a linear time trend, and a full set of controls are included.

### 6.3.1. Mortality rate

Table 6.1 presents the results for different specifications of the OLS regression using the three alternative dependent variables of marrying up and using the département-level mortality rate as the main independent variable. ${ }^{38}$ All specifications include département dummies and dummy variables for the class of the groom to reflect differences in marriage patterns for men of different classes.

The coefficient on mortality has the sign predicted by theory and is significant in all specifications, including the most complete specifications containing département dummies, linear time trends and a full set of additional controls. The regressions suggest that men were more likely to marry up in places with higher mortality rates. ${ }^{39}$ For example, in the regressions predicting whether the groom married up, the coefficient on military mortality is 0.005 , which implies that a département having military mortality of 15 percent of the male population instead of 10 percent would increase the probability a given groom married up by 2.5 percentage points. Another example is the regression predicting whether the bride is low class, where the coefficient on military mortality is -0.010 , which implies that a departement having military mortality of 15 percent of the male population instead of 10 percent would decrease the probability a given groom married a low class bride by 5 percentage points. ${ }^{40}$

In the second specification of each dependent variable in Table 6.1, we control for rural and urban marriages, where marriage patterns might be different. One possible concern is that grooms after

[^18]WWI might be marrying brides of higher class because there were more women of higher class in the population after the war. We attempt to control for this effect by including controls for the percentages of the female labor force in different occupations that reflect different classes. Unfortunately, the available breakdown by occupation for the female population is at a higher level of aggregation than the class data for brides and grooms, so these controls are imperfect. We also control for the excess of foreign males in the region over foreign females, which is calculated as the percentage of males who are foreign minus the percentage of females who are foreign. ${ }^{41}$ The rationale for including excess foreign men is that the post-war shortage of French men caused an inflow of foreign men into France, who may have differed from French men in their desirability as husbands. We also control for the ages of the bride and groom to address the fact that older grooms or brides may have better occupations, and may thus be of higher class.

The coefficient on the dummy for rural marriages is statistically significant in the regression predicting class difference, with a sign that implies grooms in rural areas marry lower class brides than grooms in urban areas. The coefficients on the percentage of employee and unemployed women indicate that men tend to marry women of lower class where more unemployed women are present and to marry women of higher class when more employees are present. ${ }^{42}$ The coefficient on excess foreign males is significant in the regression predicting marrying up and that predicting a low bride class, with signs that suggest that in regions of France where there are more foreign males relative to the number of foreign females, men tend to marry brides of lower class. This is consistent with the idea that foreign males represented additional competition in the marriage market. The coefficients associated with the ages of the groom and the bride are not statistically significant. ${ }^{43}$

Note that the estimations do not take into account the proportion of injured by département, since no such data are available. A potential concern is that men who were severely injured might have had less marriage opportunities, which may affect our estimation results. Here we do a "back of the envelope" conservative calculation of how our coefficient would be affected if we were able to account for these men. Assume that severely injured men could not get married, i.e. they were also removed from the marriage market. From 1914 to 1918, the estimate varies from 3.5 to 5.2 million injured soldiers (Prost, 2008). After the war, 920,000 of the survivors were eligible to receive a pension from the state because of their disability (Corvisier, 1992). If we consider the limit case in which all those

[^19]receiving a pension were unable to get married, this would reduce the magnitude of our coefficients on military mortality (which in this case would be interpreted as men removed from the marriage market) by approximately $43 \% .{ }^{44}$

### 6.3.2. Sex ratio

Next, we run regressions that directly use the sex ratio to predict whether and to what extent men married women of higher class than themselves. Table 6.2 presents the results of OLS regressions using the sex ratio as the main independent variable of interest. These regressions include the same sets of additional controls as presented above in Table 6.1. The sex ratio variable varies by département and over three census periods. The IV regressions, where we instrument the potentially endogenous sex ratio with département-level military mortality rate, are presented in Table 6.3. Panel A of this table presents the first stage regressions of the sex ratio on military mortality. Panel B presents the second stage regressions using the instrumented sex ratio as the main independent variable.

For each of the three different dependent variables that we consider, the OLS coefficient associated with the sex ratio is statistically significant at standard significance levels and has the sign predicted by theory. Each IV coefficient is of the same sign but somewhat larger in absolute value than the corresponding OLS coefficient. For example, in the class difference regression that includes the full set of controls, the IV coefficient associated with the sex ratio is 2.685 compared with the OLS coefficient of 1.633. To keep the example discussed in Section 5, this is consistent with migrants being in better health than non-migrants. The instrumented sex ratio's coefficient is always precisely estimated. Note that in the first stage of the IV estimation, military mortality, our instrument, appears as a strong predictor of the sex ratio. ${ }^{45}$

The more general IV regression predicting class difference (column 2 of Table 6.3) suggests that a decrease in the sex ratio from one man for every woman to 0.90 men for every woman would improve the expected class of bride married by a given groom by 0.27 , from an average class difference of 0.21 to -0.06 . Columns 3 and 4 of Table 6.3 present the IV regression results predicting whether the groom married up. In the more general specification (column 4), the coefficient on the sex ratio is -0.822 , implying that a decrease in the sex ratio from one man for every women to 0.90 men for every woman would increase the probability a given groom married up by 8.2 percentage points.

[^20]Column 6 of Table 6.3 suggests that a similar decrease in the sex ratio would decrease the probability a given groom married a low class bride by 18.5 percentage points.

We take the results in this section and in Section 6.3.1 as evidence that on average men prefer women of higher class, i.e. that men have vertical preferences. Note that, as discussed in Section 3, if grooms had horizontal preferences a decrease in the sex ratio would not lead grooms to marry up more. Rather, it would leave assortative matching unchanged. Thus, ours results favor the hypothesis that assortative matching occurs because in equilibrium individuals cannot marry higher-class people, although they may wish to do so. A related question follows. What prevents men from marrying higher class women when the sex ratio is balanced? One possible explanation is that, when the sex ratio is balanced, women do not accept marriage proposals from men in lower social classes. A possible alternative explanation is that men simply do not get to meet women from higher classes when the sex ratio is balanced. Unfortunately, the literature on the French marriage market does not provide us with guidance on the relative relevance of these two alternatives. However, our findings suggest that the former must be at least part of the explanation. Suppose, in contradiction, that men are unable to marry up under balanced sex ratio only because they do not meet women from higher classes. If men are still not more likely to meet women of higher classes after the war, it is immediate that the social ascension of men that we document would not occur. If instead the war enabled men to meet women from more heterogeneous backgrounds, including women of higher classes, then a systematic social ascension of men would be unlikely to occur unless women changed their "acceptance behavior" of marriage proposals.

### 6.3.3. Differential impact of the sex imbalance by groom's class

The previous regressions show that men improved their marriage outcomes more in the postwar period relative to the pre-war period in places with higher mortality or where the sex ratio fell more. An important related question is whether the social ascension was homogenous across groom classes. To address this issue, we allow the sex imbalance to affect marrying up differently for each groom class by interacting the sex ratio and mortality with the seven grooms' classes. The results are presented in Tables E1 and E2 of Appendix E.

The regressions suggest the effect of a change in the sex ratio (or mortality) on marriage outcomes differs by groom's class. Specifically, while grooms of higher and middle social class benefited from the sex imbalance, grooms of the lowest social classes (classes 6 and 7) appear to have benefited the least from the decrease in the sex ratio. In particular, the coefficients associated with the sex ratio or mortality are usually not statistically significant for classes 6 and 7.

This heterogeneity in the impact of the change in sex ratio on marriage outcome by class, with men in low classes benefiting the least, may result from several contributing factors. One factor may be that very low class men did not marry up because women have a lower threshold on the class of spouse they are willing to accept, below which they prefer to stay single. That is, while high and middle-class women were willing to marry men from lower social classes, they may not have been willing to accept proposals from men with a very low social class. Another possible factor may be a mechanical one due to different class sizes. We investigate this possibility in Appendix F where we show that, under some relatively weak assumptions, if grooms married as high class brides as possible after the war, classes 6 and 7 actually should have been those improving the most in the marriage market. This suggests that differences in class sizes do not explain the differential impact of the change in sex ratio across classes of groom.

### 6.3.4. Urban versus rural

Marriage behavior in rural areas may have been different from that in urban areas. For instance, rural places were less densely populated and people in a village may have been more likely to interact with people from different classes. As a result, search frictions and meeting technology may have differed in rural places. In addition, preferences for spouses might have been different in rural compared with urban areas. To test the robustness of our findings, we examine whether the effect of sex ratio on assortative matching is the same in rural and urban areas. The regressions presented in Tables G1 and G2 in Appendix G show that the unbalanced sex ratio had an effect both in rural and urban localities, and that the effects were similar in magnitude.

### 6.3.5. Class imputation for brides without occupations

In our data set, a substantial proportion of the brides are reported on their marriage certificates as having no occupation: $34.4 \%$ of the brides are without occupation before the war and $40.5 \%$ after the war (see Table 4.1). ${ }^{46}$ In addition, $12 \%$ of the brides have missing occupations overall. A missing occupation could reflect that a bride had no occupation at the time of marriage or that she simply did not report her professional activity. Thus far, the brides without occupations have been excluded from our analysis, as we do not observe an occupation to allocate them to a class. Figure H 1 in Appendix H presents the marriage outcomes of brides with no occupation and missing occupations. It shows that

[^21]brides with no occupation are more likely to marry grooms of classes 1 and 2 than brides with occupations. Moreover, they are as likely to marry class 3 and 4 men, and less likely to marry grooms from classes 5 to 7 . Relative to brides with occupations, women with missing occupation are much more likely to marry class 1 grooms, somewhat more likely to marry class 4 , and less likely to marry classes 3 and 5. This heterogeneity in marriage outcomes suggests that brides with no or missing occupation may be of various types. For example, they may be wealthy women who do not need to work, women involved in household production such as working on the family farm and who consider themselves as not having an occupation (Chesnais, 1999), or unemployed women. ${ }^{47}$

Marriage certificates provide information on the occupations of the parents of the grooms and brides. Our first approach to allocate a bride without occupation into a class is to use the occupation of her father. We have replicated the estimations presented in Sections 6.3.1 and 6.3.2 using the class of the bride's father when the bride has no occupation. The results of these estimations are shown in Tables H1 to H3 of Appendix H, and present similar results to the estimations from Sections 6.3.1 and 6.3.2, though the main coefficients of interest are smaller in magnitude.

A main disadvantage of the approach of using the bride's father's class when the bride has no occupation is that parents' occupations are missing for almost half of the data, and they may not be missing at random. A common reason for parents' occupation to be missing is that they have died. Since there is differential mortality by socioeconomic status (see, for example, Smith 1999), parents' occupations are more likely to be missing for lower classes and the resulting sample selected.

Thus, as an alternative approach for dealing with both brides with missing occupations and brides with no occupation, we have imputed class for all brides with missing classes. We use the predicted class obtained from an OLS regression of bride's class (for brides with occupations) on the following variables: indicators of mother's and father's classes, ${ }^{48}$ an indicator for rural, interactions of rural with the indicators for parents' classes, bride's age and age squared, dummies for the size of the city where the marriage occurred, and a linear time trend. The various indicators for missing class of parents allow us to deal with the fact that those observations are potentially not missing at random. We

[^22]control for age since age and occupation may be related. The city size and rural dummies allow for classes to be associated with geographic location. With this approach, a bride's imputed class incorporates more information than that provided by her father's class alone. Table H4 presents the results of this OLS regression.

In Tables H5 to H7, we evaluate the impacts of mortality and the sex ratio on our measures of marrying up using bride's actual class for brides with occupations and bride's imputed class for those without occupations or with missing occupations. ${ }^{49}$ Specifically, we replicate the analysis described in Sections 6.3.1 and 6.3.2. The coefficient associated with the sex ratio or mortality has the sign predicted by theory in all the specifications, and it is statistically significant. The magnitudes of the coefficients are similar to in the regressions without imputation when we use mortality as the dependent variable, but are somewhat smaller when we use sex ratio.

### 6.3.6 Assortative matching by father's class

In some marriages, the social class of the spouse's father might be relevant. This may be because these brides and grooms cared about the social class of their spouse's father, or because these marriages were arranged by the parents. In this section, we repeat the main analysis using brides' fathers' and grooms' fathers' classes. ${ }^{50}$ We use the same set of controls as previously, with one exception: instead of controlling for the percentage of females working in various occupation categories (which was meant to capture the distribution of women's occupations faced by men), we control here for the percentage of men working in various occupation categories (to capture the distribution of fathers' occupations). Note that father's class has the advantage that it is pre-determined and not likely to respond to the marriage market conditions or to the change in the sex ratio. However, as discussed, fathers' classes are missing for almost half the observations so the remaining sample is small. Tables B1 to B3 of Appendix B present the estimation results. The results are qualitatively the same, namely men married up more (in terms of father's social class) in regions that experienced sharper decrease in the sex ratio due to war mortality. However, the results are weaker and less statistically significant in some specifications, potentially due to smaller sample size.

## 7. Assortative matching by age

[^23]Our analysis thus far has focused on assortative matching by social class, which captures an important dimension of "attractiveness". Clearly, there are other related and unrelated dimensions considered by individuals when choosing a spouse, such as income, education, appearance, personality, and age. In this section, we analyze the effects of military mortality and the unbalanced sex ratio on assortative matching by age, on which we have data. While Henry (1966) and Chasteland and Pressat (1962) have documented the change in age gap following the war, we analyze here whether the change was more pronounced in places with high mortality. We follow the same empirical strategy we used to analyze assortative matching by social class (described in Section 5).

### 7.1. Testing pre-WWI assortative matching

We first use pre-war data to test whether people sort according to age in the marriage market. In Figure 7.1, the observed points show the actual distribution of pre-war age gap for the marriages in our sample. The $95 \%$ confidence interval was derived by bootstrapping under the null hypothesis that grooms match randomly from the age distribution of observed brides.

The observed distribution reaches its highest density levels when the value of brides' age minus groom's age is between -2 and -5 , indicating that grooms are typically slightly older than their brides. Overall, for about $46 \%$ of the pre-WWI marriages in our data this age difference lies between -5 and 0 inclusive. Figure 7.1 shows that the observed distribution lies outside the confidence interval for many age differences. In particular, the observed distribution lies above the $95 \%$ confidence interval when the groom is just slightly older than the bride, and lies below the confidence interval for larger age gaps. Thus, the null hypothesis of random matching according to age is clearly rejected. Grooms in the pre-war period were much more likely to marry brides who were a couple of years younger than themselves than chance would dictate.

### 7.2. Changes in the distribution of age difference

Having established that grooms and brides match non-randomly according to age, we now investigate the impact of a change in the sex ratio on this assortative matching.

The three panels of Figure 7.2 show the CDFs of age difference between brides and grooms before and after the war. The first graph in each panel uses data from the départements with military mortality rates above the median, where we expect the pre-war/post-war difference to be the most pronounced. The second graph in each panel uses data from départements with below-median mortality rates. A dashed red post-war line that lies below the solid black pre-war line indicates that grooms tended to marry older brides after the war than before it.

The first panel shows the CDFs for grooms aged 18-59. It illustrates that in high-mortality départements, the age difference between brides and grooms was smaller after the war than before it. For example, while in those départements the bride was at least 5 years younger than her groom in $47 \%$ of pre-war marriages, this proportion decreased to $36 \%$ after the war. To formally test whether this difference is statistically significant, we construct $95 \%$ confidence intervals of the pre-war CDFs using a bootstrapping approach. We can reject the hypothesis that the pre-war and post-war CDFs are equal in favor of the alternative hypothesis that post war grooms were more likely to marry older brides. As expected, this effect is smaller in départements with below-median mortality rates, where $42 \%$ of the pre-war marriages had a bride at least 5 years younger than her groom, and this proportion decreased to $34 \%$ after the war.

The next two panels show similar CDFs for two different age groups: men aged 18-27 and men aged 28-59. Both graphs present a similar pattern to that described above. However, they highlight that the change in the age difference was stronger for younger men. The change in the CDF is clearly statistically significant for men aged 18-27 in both high and low-mortality départements. The change in age difference is less marked among men aged 28 to 59 . This finding is consistent with the fact that younger men experienced higher mortality rates in the war than older men, and so we expect more adjustments in the marriage patterns of those men. Overall, this suggests that even a small change in the sex ratio has an impact on assortative matching by age.

### 7.3. Impact of military deaths and change in sex ratio on assortative matching by age

We now examine the direct relationship between sex ratio and age-related marriage outcomes. We run OLS regressions that use bride's age minus groom's age as the dependent variable, and either military mortality or the sex ratio as the main explanatory variable. We also conduct IV regressions that instrument for the sex ratio with military mortality.

The first three columns of Table 7.1 present the results of the OLS regressions using the département-level mortality rate as the main independent variable. The three specifications include département dummies, a linear time trend and the groom's age to reflect differences in marriage patterns for men of different ages. We include dummy variables for grooms in different age ranges to allow the groom's age have a non-linear effect on age difference. To capture the distribution of women's ages faced by grooms, we control for the proportion of women in different age groups in each departement. Finally, we take into account the excess foreign males who may represent additional competition to men in the marriage market.

The coefficient associated with mortality is positive and statistically significant suggesting a greater decrease in the age gap between brides and grooms in places with higher mortality. Consider a difference of bride's age minus groom's age equal to -4 before the war. Everything else equal, this difference would increase to -2.94 in places with mortality rate equal to $10 \%$, and to -2.41 in places with mortality rates equal to $15 \%$.

Since older women may have better occupations, the results highlighted above might merely reflect men's preferences for higher class women. To address this issue, we control for bride's and groom's class in column (2). We find the same effect: men tend to marry older brides in places with higher mortality, and the coefficient is statistically significant.

The last column allows for differential impact of mortality by groom's age category. The effect of mortality on the age gap is statistically significant at the 5 percent level for grooms aged 22 to 33 , and is the largest in magnitude for grooms aged 25 to 30 .

A decrease in the age difference between grooms and brides could be driven by grooms being younger or brides being older on average after the war than before. Figure 7.3 presents the distribution of age of brides and grooms before and after the war. While the distribution of brides' age did not change, grooms married younger after the war than before it. The shortage of men allowed them to reduce the age gap and therefore to find brides who would have rather married older men before the war. The fact that men married at a younger age after the war is consistent with several plausible explanations. Men may prefer to marry at a younger age but were turned down before the war by women who preferred older men. Alternatively, due to the change in sex ratio, men may have received more marriage proposals after the war and thus spent less time searching for a partner.

Looking at the other coefficients in columns 1 to 3 of Table 7.1, one notices that the age gap between brides and grooms increases with groom's age. The coefficient associated with rural is negative and statistically significant in all specifications. This suggests that the age difference between the brides and the grooms is more negative in rural places than in urban places.

The last three columns of Table 7.1 present similar results using sex ratio as the main explanatory variable. Results are similar to those for military mortality. The coefficient associated with sex ratio is negative and statistically significant at $1 \%$. Allowing for a differential impact of sex ratio by age category provides similar results as for mortality, with the coefficients being the largest for grooms aged 25 to 33 .

Table 7.2 provides the results of the IV regressions predicting age difference. The instrumented sex ratio has a negative coefficient and is statistically significant at $1 \%$. The coefficient is much larger than the OLS coefficients, implying that the OLS estimator is biased towards zero. Using the
specification controlling for grooms' and brides' classes suggests that a decrease in sex ratio from 1 to 0.9 decreases the age difference between brides and grooms by 2 years. Thinking about health as an omitted variable that may be biasing our OLS results (see discussion in Section 5), this bias toward zero is consistent with migrants being healthier than non-migrants (i.e., $\operatorname{cov}\left(M_{j t}, H_{i j t}\right)>0$ ) and healthier men marrying younger brides than men in poorer health (i.e., $\eta<0$ ).

## 8. Conclusion

Although the similarity of spouses to each other along various dimensions has been documented, we know little about its causes. This paper uses an exogenous shock to the sex ratio created by WWI mortality in France to identify the underlying mechanisms responsible for marital assortative matching. Overall, we find that the decrease in the proportion of men in the population due to war-related mortality allowed men to marry higher class women. Men experienced "social ascension" by marrying women from classes they would have had few chances to marry before the war. Similarly, the change in sex ratio led women of higher classes to marry grooms from lower classes than they would have under pre-WWI standards. A decrease in the sex ratio, instrumented for by military mortality, from one man for every woman to 0.90 men for every woman: (a) increased the probability that men married women of weakly higher class than themselves by 8.2 percentage points, (b) improved the expected value of bride's class minus groom's class for a given groom by 0.27 (from an average of 0.21 to -0.06 ), and (c) decreased the probability a given groom would marry a low class bride by 18.5 percentage points. These effects differ by grooms' class, with low-class men benefiting the least from the change in the sex ratio. Our results favor the hypothesis that assortative matching occurs because, although individuals would rather marry higher-class people, they do not receive marriage proposals from them.

This paper illustrates a forgotten consequence common to brutal wars and imbalances in the sex ratio such as the one observed nowadays in China: the change in social mobility through change in marriage behavior. In France, the post-war period was also associated with more international marriages, which probably eased the integration of migrants within the French society. One may wonder whether the war induced a transitional or permanent change in social mobility and social integration. This is left for future research. On this specific front, an obstacle to overcome is the occurrence of WWII which may hinder the analysis of the long-term implications of WWI on social mobility. Another natural extension is to examine the extent of marrying up in other countries that participated in WWI. Such a study could shed light on the different degree of social mobility in different countries.

## References

Ariely, Dan, Guenter Hitsch, and Ali Hortacsu. 2006. "What Makes You Click? Mate Preferences and Matching Outcomes in Online Dating." Working Paper.

Angrist, Joshua. 2002. "How Do Sex Ratios Affect Marriage and Labor Markets: Evidence from America's Second Generation." Quarterly Journal of Economics, 117: 997-1038.
Aristotle. 1934. Rhetoric Nicomachean ethics. In Aristotle in 23 volumes. Rackham translation Cambridge: Harvard University Press.
Armengaud, André. 1965. La Population Francaise au 20e Siecle. Paris: Presses universitaires de France.

Arrizabalaga, Marie-Pierr. 2005. "Pyrenean Marriage Strategies in the Nineteenth Century: The French Basque Case." International Review of Social History, Supplement 50.
Becker, Gary. 1973. "A Theory of Marriage: Part I,." Journal of Political Economy, 81: 813-46.
Becker, Gary. 1974. "A Theory of Marriage: Part II." Journal of Political Economy, 82: S11-S26.
Becker, Gary. 1981. A Treatise on the Family. Cambridge, MA: Harvard University Press.
Becker, Jean-Jacques. 1999 "Les deux guerres mondiales et leurs conséquences" in Jean-Pierre Bardet and Jacques Dupaquier (Eds) Histoires des Populations de L’Europe, Les temps Uncertains 1914-1998. Fayard, France.
Belot, Michele and Marco Francesconi. 2006. "Can Anyone be 'The’ One? Evidence on Mate Selection from Speed Dating." IZA Discussion Papers 2377, Institute for the Study of Labor (IZA).
Bergstrom, Ted. 1994. "On the Economics of Polygyny." University of California Working Paper.
Bisin, Alberto, Giorgio Topa, and Thierry Verdier. 2004. "Religious Intermarriage and Socialization in the United States." Journal of Political Economy, 112: 615-664.

Bloch, Francis, and Harl Ryder. 2000. "Two-Sided Search, Marriages, and Matchmakers." International Economic Review, 41: 93-116.

Blossfeld, Hans-Peter, and Andreas Timm. 2003. Who Marries Whom? Educational Systems as Marriage Markets in Modern Societies. Amsterdam: Kluwer Academic.

Botticini, Maristella. 1999. "A Loveless Economy? Intergenerational Altruism and the Marriage Market in a Tuscan Town,1415-1436." Journal of Economic History, 59: 104-121.

Botticini, Maristella and Aloysius Siow. 2003. "Why Dowries?" American Economic Review, 93: 1385-1398.

Boulanger, Philipe. 2001. LA FRANCE DEVANT LA CONSCRIPTION - Géographie Historique D'une Institution Républicaine 1914-1922. Economica, Paris.

Bourdieu, Jérôme, Postel-Vinay Gilles and Suwa-Eisenmann Akiko. 2004. "Défense et illustration de l'enquête des 3000 familles : l'exemple de son volet patrimonial." Research Unit Working Papers 0407, Laboratoire d'Economie Appliquée, INRA.
Bozon, Michel and François Héran. 1987. "La découverte du conjoint: I. Evolution et morphologie des scènes de rencontre." Population, 42(6): 943-985.
Brainerd, Elizabeth. 2007. "Uncounted Costs of World War II: The Effect of Changing Sex Ratios on Marriage and Fertility of Russian Women."

Bull, Hans Henrik. 2005. "Deciding Whom to Marry in a Rural Two-Class Society: Social Homogamy and Constraints in the Marriage Market in Rendalen, Norway 1750-1900." International Review of Social History, Supplement 50.
Burdett, Ken and Melvyn G. Coles. 1997. "Marriage and Class." The Quarterly Journal of Economics, 112: 141-168.

Bras, Hilde and Jan Kok. 2005 ""They Live in Indifference Together": Marriage Mobility in Zeeland, The Netherlands, 1796-1922." International Review of Social History, Supplement 50.
Choo, Eugene and Aloysius Siow. 2006. "Who Marries Whom and Why." Journal of Political Economy, Vol. 114, No. 1: 175-201.
Charles, Kerwin and Ming Luoh. 2005. "Male Incarceration, the Marriage Market and Female Outcomes." University of Michigan Working Paper.
Chesnais, Jean-Claude. 1999 "La population active depuis 1913" in Jean-Pierre Bardet and Jacques Dupaquier (Eds) Histoires des Populations de L’Europe, Les temps Uncertains 1914-1998. Fayard, France.
Chasteland, Jean-Claude and Roland Pressat. 1962. "La nuptialite des generation francaises depuis un siecle." Population, 2: 215-240.
Chiappori, Pierre-Andre, Bernard Fortin, and Guy Lacroix. 2001. "Marriage Market, Divorce Legislation, and Household Labor Supply." Journal of Political Economy, 110: 37-72.

Cox, Oliver C. 1940. "Sex Ratio and Marital Status among Negroes." American Sociological Review, 6: 937-947.

Corvisier, André. 1992. "Le peuple français en guerre," in André Corvisier (Ed) Histoire militaire de la France de 1871 à 1940. Presse Universitaire de France, Paris.

Diamond, Peter. 1982. "Wage Determination and Efficiency in Search Equilibrium." Review of Economic Studies, 49: 1217-1227.

Downs, Laura Lee. 1995. Manufacturing Inequality: Gender Division in the French and British Metalworking Industries, 1914-1939. Cornell University Press, NY.
Dupaquier, Jacques. 1988. Histoire de la Population Francaise, 1re éd. Paris: Presses universitaires de France.

Dupaquier, Jacques. 2004. "L’Enquête des 3000 Familles." Annales de démographie historique, 107: 7-18.

Dribe, Martin and Christer Lundh. 2005. "Finding the Right Partner: Rural Homogamy in NineteenthCentury Sweden." International Review of Social History, Supplement 50.
Easterlin, Richard A. 1961. "The American Baby Boom in Historical Perspective." American Economic Review, 51: 1-60.

Edlund, Lena. 2000. "Marriage Squeeze Interpretation of Dowry Inflation: A Comment." Journal of Political Economy, 108: 1327-1333.
Faron, Olivier and Pierre George. 1999. "Les migrations européennes de la Grande Guerre à nos jours" in Jean-Pierre Bardet and Jacques Dupaquier (Eds) Histoires des Populations de L'Europe, Les temps Uncertains 1914-1998. Fayard, France.

Fernandez, Raquel and Richard Rogerson. 2001. "Sorting and Long-Run Inequality." The Quarterly Journal of Economics, 116: 1305-1341.

Fisman, Raymond, Sheena S. Iyengar, Emir Kamenica, and Itamar Simonson. 2006. "Gender Differences in Mate Selections: Evidence from a Speed Dating Experiment." The Quarterly Journal of Economics, 121: 673-679.

Girard, Alain. 1974. Le choix du conjoint. Presse Universitaire de France, Paris.
Grossbard-Shechtman, Shoshana. 1993. On the Economics of Marriage. Boulder, CO: Westview Press.

Guttentag, Marcia, and Paul F, Secord. 1983. Too Many Women? The Sex Ratio Question. Beverly Hills, CA: Sage Publications.

Henry, Louis. 1966. "Perturbations de la Nuptialité Résultant de la Guerre 1914-1918." Population (French Edition), 21 : 273-332.

Holt, Katherine. 2005. "Marriage Choices in a Plantation Society: Bahia, Brazil." International Review of Social History, Supplement 50.
Hout, Michael. 1982. "The Association Between Husbands’ and Wives' Occupations in Two-Earner Families." American Journal of Sociology, 88: 397-409.

Huber, Michel. 1931. La Population de la France Pendant la Guerre. Paris: Presses Universitaires de France.

Iyigun, Murat, and Randall Walsh. 2007. "Building the Family Nest: Pre-Marital Investments, Marriage Markets and Spousal Allocations." Review of Economic Studies, 74: 507-35.

Inter-university Consortium for Political and Social Research. DEMOGRAPHIC, SOCIAL, EDUCATIONAL AND ECONOMIC DATA FOR FRANCE, 1833-1925 [Computer file]. ICPSR07529-v2. Ann Arbor, MI: Inter-university Consortium for Political and Social Research [producer and distributor], 2007-02-16.
Kalmijn, M. 1998. "Intermarriage and Homogamy: Causes, Patterns and Trends." Annual Review of Sociology, 24: 395-421.

Lafortune, Jeanne. 2008. "Making Yourself Attractive: Pre-Marital Investments and the Returns to Education in the Marriage Market." Working Paper.
Lanzinger, Margareth. 2005. "Homogamy in a Society Oriented to Stability: A Micro Study of a South Tyrolean Market Town, 1700-1900." International Review of Social History, Supplement 50.
Lee, Soohyung. 2007. "Determinants and Consequences of Marital Sorting: Evidence From a Korean Matchmaking Service." Stanford Working Paper.
Mare, Robert D. 1991. "Five Decades of Educational Assortative Mating." American Sociological Review, 56: 15-32.
Maurin, Jules. 1992. "Les combattants face à l'épreuve de 1914-1918," in André Corvisier (Ed) Histoire militaire de la France de 1871 à 1940. Presse Universitaire de France, Paris.

McPherson, Miller, Lynn Smith-Lovin, and James Cook. 2001. "Birds of a Feather: Homophily in Social Networks." Annual Review of Sociology, 27: 415-44.
Mortensen, Dale. 1982. "The Matching Process as a Noncooperative Bargaining Game," in The Economics of Information and Uncertainty, John J. McCall, ed. Chicago: University of Chicago Press.
Neal, Derek. 2004. "The Relationship between Marriage Market Prospects and Never-Married Motherhood." The Journal of Human Resources, Vol. 39, No. 4: 938-957.

Pélissier, Jean-Pierre, Danièle Rébaudo, Marco H.D. van Leeuwen, and Ineke Maas. 2005. "Migration and Endogamy According to Social Class: France, 1803-1986." International Review of Social History, Supplement 50.

Pencavel, John. 1998. "Assortative Mating by Schooling and the Work Behavior of Wives and Husbands." American Economic Review, 88: 326-329.
Pissarides, Christopher. 1990. Equilibrium Unemployment Theory. Oxford: Blackwell.
Prost, Antoine. 2008. "Compter les vivants et le mors: l'évaluation des pertes françaises de 19141918. " Le Mouvement Social, 1(222): 41-60.

Rao, Vijayendra. 1993. "The Rising Price of Husbands: A Hedonic Analysis of Dowry Increases in Rural India." Journal of Political Economy, 101: 666-77.
Rose, Elaina,. 2001. "Marriage and Assortative Mating: How Have the Patterns Changed?" University of Washington Working Paper \#353330.
Schumacher, Reto and Luigi Lorenzetti. 2005. ""We have no proletariat": Social Stratification and Occupational Homogamy in Industrial Switzerland. Winterthur 1909/10-1928." International Review of Social History, Supplement 50.
Segalen Martin. 1981. Sociologie de la famille. Armand Colin, Paris.
Smith, J.. 1999. "Healthy Bodies and Thick Wallets: The Dual Relation between Health and Economic Status." Journal of Economic Perspectives, 13, 2.

Van de Putte, Bart, Michel Oris, Muriel Neven, and Koen Matthijs. 2005. "Migration, Occupational Identity and Societal Openness in Nineteenth-Century Belgium." International Review of Social History, Supplement 50.
van Leeuwen, Marco H.D., Ineke Maas and Andrew Miles. 2002. HISCO: Historical International Standard Classification of Occupations. Leuven: Leuven University Press.
van Leeuwen, Marco H.D., and Ineke Maas. 2005a. "A short note on HISCLASS." Working Paper available at http://historyofwork.iisg.nl/docs/hisclass-brief.doc.
van Leeuwen, Marco H.D., and Ineke Maas. 2005b. "Total and Relative Endogamy by Social Origin: A First International Comparison of Changes in Marriage Choices during the Nineteenth Century." International Review of Social History, Supplement 50.
van Leeuwen, Marco H.D., and Ineke Maas. 2005c. "Endogamy and Social Class in History: An Overview." International Review of Social History, Supplement 50.

Weiss, Yoram. 1993. "The Formation and Dissolution of Families: Why Marry? Who Marries Whom? And What Happens Upon Divorce," in The Handbook of Population and Family Economics, Mark R. Rosenzweig and Oded Stark, ed.. Amsterdam: North Holland.
Willis, Robert J. 1999. "A Theory of Out-of-Wedlock Childbearing." The Journal of Political Economy, Vol. 107, No. 6, Part 2: S33-S64.
Wong, Linda Y., 2003. "Structural Estimation of Marriage Models." Journal of Labor Economics, 21: 699-727.

Figure 1.1: The geographic variation in military mortality rates


This map shows the geographic variation in military mortality rates, defined as military deaths as a percentage of the male population aged 18 to 59 in 1911. Totally white corresponds to a mortality rate of $6.2 \%$, the $5^{\text {th }}$ percentile; totally red corresponds to a mortality rate of $17.0 \%$, the $95^{\text {th }}$ percentile. Blue denotes missing data.

Table 1.1: Distribution of the labor force by sectors (in \%)

| Source: Huber (1931). Repartition using 1906 territory for both years |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Sectors | 1906 |  | 1921 |  |
| males | females | males | females |  |
| Fishing | 0.6 | 0.1 | 0.6 | 0 |
| Agriculture and forestry | 43.8 | 43.2 | 39.9 | 45.9 |
| Industry and transportation | 37.9 | 32.7 | 41.8 | 28.7 |
| Sales | 10.4 | 10.1 | 10.4 | 11.7 |
| Liberal professions | 2.4 | 2.5 | 2.3 | 3.4 |
| Public service | 3.5 | 1.3 | 4.2 | 2.3 |
| Domestic | 1.4 | 10.1 | 0.8 | 8 |
| $\%$ of the pop. in the labor force | 68.2 | 39.0 | 71.2 | 42.6 |

Table 2.1: Distribution of fatalities by occupation at age 20 (in \%)
Source: Huber (1931)

| Source: Huber (1931) |  |
| :---: | :---: |
| Occupation | \% dead |
| Agriculture | 41.5 |
| Industry/Alimentation/Construction/Transportation | 35.7 |
| Sales | 9.5 |
| Liberal professions | 2.4 |
| Civil servant | 1.3 |
| Domestic | 4.2 |
| Clergy | 0.2 |
| Without profession | 0.5 |
| Others | 4.6 |
| Total | 100.0 |

Figure 2.1: Number of first marriages per 1,000 women by birth cohorts and years Source: Henry (1966)


Figure 2.2: Percentage of singles at age 50 by birth cohorts Source: Roussel (1971)


## Table 2.2: Women were more likely to be unmarried in areas with higher mortality rates and lower sex ratios

Dependent variable: fraction of women who aren't married

|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & 0.003 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & 0.003 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & 0.005 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & 0.003 * * * \\ & (0.000) \end{aligned}$ |  |  |  |  |
| Sex Ratio |  |  |  |  | $\begin{aligned} & -0.300 * * * \\ & (0.032) \end{aligned}$ | $\begin{aligned} & -0.295 * * * \\ & (0.023) \end{aligned}$ | $\begin{aligned} & -0.255 * * * \\ & (0.036) \end{aligned}$ | $\begin{array}{r} -0.028 \\ (0.026) \end{array}$ |
| Departement Dummies | No | Yes | No | Yes | No | Yes | No | Yes |
| Census Period Dummies | No | No | Yes | Yes | No | No | Yes | Yes |
| R-Squared | 0.136 | 0.914 | 0.208 | 0.974 | 0.254 | 0.911 | 0.293 | 0.967 |
| Observations | 254 | 254 | 254 | 254 | 260 | 260 | 260 | 260 |


 Unmarried women include women who have never been married, widowed women, and divorced women. Standard errors are given in parentheses. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table 4.1: Distribution of grooms and brides by class

|  | Grooms |  | Brides |  |
| :---: | :---: | :---: | :---: | :---: |
| Classes | Pre-WWI | Post-WWI | Pre-WWI | Post-WWI |
| 1 | 5.4 | 7.1 | 0.7 | 1.2 |
| 2 | 17.8 | 20.3 | 6.3 | 10.5 |
| 3 | 24.1 | 24.2 | 20.1 | 13.3 |
| 4 | 22.9 | 22.3 | 9.8 | 10.5 |
| 5 | 19.9 | 16.8 | 21.9 | 18.2 |
| 6 | 5.4 | 5.4 | 4.2 | 4.1 |
| 7 | 4.0 | 3.2 | 2.7 | 1.8 |
| No occupation | 0.6 | 0.8 | 34.4 | 40.5 |
| $N$ | 1,605 | 4,254 | 1,482 | 3,950 |
|  |  |  |  |  |
|  | Grooms' Fathers |  |  |  |
| Classes | Pre-WWI | Post-WWI | Pre-WWI | Post-WWI |
| 1 | 8.5 | 7.3 | 7.0 | 7.0 |
| 2 | 13.3 | 13.4 | 13.1 | 14.0 |
| 3 | 14.0 | 16.5 | 16.3 | 14.2 |
| 4 | 38.8 | 35.5 | 36.2 | 36.3 |
| 5 | 12.5 | 13.2 | 13.4 | 14.4 |
| 6 | 6.7 | 7.0 | 6.1 | 8.1 |
| 7 | 4.5 | 4.1 | 6.1 | 4.1 |
| No occupation | 1.5 | 3.0 | 1.8 | 1.9 |
| $N$ | 949 | 2,372 | 1,014 | 2,560 |

Table 4.2: Summary statistics

|  | Pre War |  | Post War |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Mean | Standard <br> deviation | Mean | Standard <br> deviation |
| Mortality | 0 | 0 | 12.5 | 3.0 |
| Sex ratio | 1.12 | 0.09 | 1.02 | 0.08 |
| \% Female managers | 43.3 | 13.0 | 41.5 | 12.5 |
| \% Female employees | 3.8 | 1.2 | 7.6 | 3.3 |
| \% Female workers | 29.3 | 7.7 | 29.9 | 7.9 |
| \% Self-employed females | 23.1 | 7.2 | 19.6 | 5.5 |
| \% Unemployed females | 0.5 | 0.5 | 1.4 | 1.4 |
| \% Male managers | 30.7 | 8.7 | 31.4 | 10.3 |
| \% Male employees | 11.6 | 5.8 | 11.2 | 5.2 |
| \% Male workers | 38.8 | 6.9 | 42.7 | 8.2 |
| \% Self-employed males | 18.0 | 4.1 | 13.3 | 3.8 |
| \% Unemployed males | 0.9 | 0.7 | 1.4 | 1.2 |
| Excess foreign males | 0.3 | 0.6 | 1.1 | 1.4 |
| \% Females aged 15 to 19 | 16.2 | 1.4 | 16.7 | 1.4 |
| \% Females aged 20 to 29 | 29.9 | 1.4 | 29.1 | 1.2 |
| \% Females aged 30 to 39 | 28.3 | 1.0 | 27.6 | 0.9 |
| \% Females aged 40 to 49 | 25.6 | 1.6 | 26.6 | 1.7 |

The pre-war statistics are from 1911 for all variables except the female occupations, which are from 1906; the post-war values are all from 1921.

Figure 6.1: Pre-WWI matching was assortative

## Pre-War Social Distance, 1909-14

Null hypothesis: grooms match randomly from the population of brides


Figure 6.2: The distribution of bride classes for each class of groom before and after WWI in departements with mortality rates above the median

## Panel 1



Panel 2


Panel 3


Panel 5


Panel 4


## Panel 6



Panel 7


Table 6.1: Men marry up more where military mortality was higher, OLS

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.016 * * \\ & (0.006) \end{aligned}$ | $\begin{aligned} & -0.012 * \\ & (0.006) \end{aligned}$ | $\begin{aligned} & 0.006 * * * \\ & (0.002) \end{aligned}$ | $\begin{gathered} 0.005 * * \\ (0.002) \end{gathered}$ | $\begin{aligned} & -0.011 * * * \\ & (0.003) \end{aligned}$ | $\begin{aligned} & -0.010 * * * \\ & (0.003) \end{aligned}$ |
| Rural |  | $\begin{aligned} & 0.186 * * * \\ & (0.064) \end{aligned}$ |  | $\begin{array}{r} -0.032 \\ (0.020) \end{array}$ |  | $\begin{array}{r} -0.034 \\ (0.022) \end{array}$ |
| \% Female Managers |  | $\begin{array}{r} -0.007 \\ (0.008) \end{array}$ |  | $\begin{aligned} & -0.006 * * \\ & (0.003) \end{aligned}$ |  | $\begin{array}{r} 0.003 \\ (0.003) \end{array}$ |
| \% Female Employees |  | $\begin{aligned} & -0.048 * * * \\ & (0.009) \end{aligned}$ |  | $\begin{gathered} 0.007 * \\ (0.004) \end{gathered}$ |  | $\begin{aligned} & -0.016 * * * \\ & (0.004) \end{aligned}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.018 * \\ & (0.010) \end{aligned}$ |  | $\begin{aligned} & -0.012 \text { *** } \\ & (0.003) \end{aligned}$ |  | $\begin{gathered} 0.006 * \\ (0.003) \end{gathered}$ |
| \% Female Unemployed |  | $\begin{aligned} & 0.098 * * * \\ & (0.016) \end{aligned}$ |  | $\begin{aligned} & -0.045 * * * \\ & (0.006) \end{aligned}$ |  | $\begin{aligned} & 0.054 * * * \\ & (0.007) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{aligned} & -0.051 \\ & (0.041) \end{aligned}$ |  | $\begin{aligned} & -0.025 * * \\ & (0.011) \end{aligned}$ |  | $\begin{aligned} & 0.035 * * * \\ & (0.011) \end{aligned}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.381 \\ (0.340) \end{array}$ |  | $\begin{array}{r} 0.158 \\ (0.124) \end{array}$ |  | $\begin{array}{r} 0.156 \\ (0.111) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.581 \\ (0.416) \end{array}$ |  | $\begin{array}{r} -0.080 \\ (0.133) \end{array}$ |  | $\begin{gathered} -0.086 \\ (0.188) \end{gathered}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.241 | 0.243 | 0.271 | 0.273 | 0.234 | 0.236 |
| Observations | 3158 | 3117 | 3033 | 2994 | 3158 | 3117 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 ). Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table 6.2: Men marry up more when the sex ratio is lower, ols

Dependent variable:

Sex Ratio

| class diff | class diff mar | married up ma | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0.847** | 1.633** | -0.448*** | -0.658** | 0.714*** | 1.302*** |
| (0.410) | (0.688) | (0.153) | (0.285) | (0.207) | (0.280) |
|  | 0.203*** |  | -0.042* |  | -0.026 |
|  | (0.071) |  | (0.024) |  | (0.026) |
|  | -0.015 |  | 0.002 |  | -0.008 |
|  | (0.015) |  | (0.006) |  | (0.006) |
|  | -0.006 |  | -0.004 |  | -0.000 |
|  | (0.023) |  | (0.007) |  | (0.009) |
|  | -0.002 |  | -0.005 |  | 0.002 |
|  | (0.019) |  | (0.006) |  | (0.008) |
|  | 0.021 |  | -0.004 |  | 0.017** |
|  | (0.020) |  | (0.006) |  | (0.007) |
|  | 0.002 |  | -0.006 |  | 0.007 |
|  | (0.063) |  | (0.016) |  | (0.020) |
|  | 0.194 |  | 0.194 |  | 0.101 |
|  | (0.482) |  | (0.151) |  | (0.180) |
|  | -0.514 |  | -0.096 |  | -0.074 |
|  | (0.480) |  | (0.151) |  | (0.171) |
| Yes | Yes | Yes | Yes | Yes | Yes |
| Yes | Yes | Yes | Yes | Yes | Yes |
| Yes | Yes | Yes | Yes | Yes | Yes |
| 0.232 | 0.239 | 0.270 | 0.272 | 0.226 | 0.232 |
| 3208 | 3175 | 3080 | 3048 | 3208 | 3175 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 . The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table 6.3: Men marry up more when the sex ratio is lower, IV
Panel A: Stage 1 regressions with sex ratio as the dependent variable

|  | (1) | ( 2 ) | (3) | (4) | (5) | ( 6 ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.010 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.010 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.010 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ |
| Rural |  | $\begin{aligned} & -0.000 \\ & (0.001) \end{aligned}$ |  | $\begin{aligned} & -0.000 \\ & (0.001) \end{aligned}$ |  | $\begin{aligned} & -0.000 \\ & (0.001) \end{aligned}$ |
| \% Female Managers |  | $0.006 * * *$ |  | $0.006 * * *$ |  | $0.006 * * *$ |
| \% Female Employees |  | $\begin{aligned} & -0.005 * * \\ & (0.002) \end{aligned}$ |  | $\begin{aligned} & -0.005 * * \\ & (0.002) \end{aligned}$ |  | $\begin{aligned} & -0.005 * * \\ & (0.002) \end{aligned}$ |
| \% Female Self-Employed |  | $\begin{gathered} -0.002 \\ (0.002) \end{gathered}$ |  | $\begin{gathered} -0.002 \\ (0.002) \end{gathered}$ |  | $\begin{gathered} -0.002 \\ (0.002) \end{gathered}$ |
| \% Female Unemployed |  | $\begin{aligned} & -0.003 * * \\ & (0.001) \end{aligned}$ |  | $\left(\begin{array}{c} -0.003 * \\ (0.001) \end{array}\right.$ |  | $\begin{aligned} & -0.003 * * \\ & (0.001) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{aligned} & 0.021 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{aligned} & 0.022 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{aligned} & 0.021 * * * \\ & (0.004) \end{aligned}$ |
| Groom's Age (/100) |  | 0.006 $(0.005)$ |  | 0.005 $(0.005)$ |  | $\begin{array}{r} 0.006 \\ (0.005) \end{array}$ |
| Bride's Age (/100) |  | $\begin{aligned} & -0.009 \text { * } \\ & (0.005) \end{aligned}$ |  | $\left(\begin{array}{l} -0.009 * \\ (0.005) \end{array}\right.$ |  | $\begin{aligned} & -0.009 * \\ & (0.005) \end{aligned}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.889 | 0.950 | 0.886 | 0.950 | 0.889 | 0.950 |
| Observations | 3132 | 3099 | 3008 | 2976 | 3132 | 3099 |

Notes: Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Panel B: Stage 2 regressions


Notes: These regressions use military mortality as a instrument for the sex ratio in IV regressions predicting bride class minus groom class, whether the groom married a bride of at least as high class as his own, or whether the bride was low class. Panel A presents the stage 1 regressions, in which the dependent variable is the sex ratio. The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911, and is zero for marriages that occurred before the war. Panel B presents the stage 2 regressions, in which the dependent variable is the bride's class minus the groom's class for columns one and two, an indicator variable for the groom marrying a weakly higher class bride for the third and fourth columns, and an indicator variable for the bride being of low class (class 5 , 6 or 7 ) for the last two columns. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $p<0.10$, ** $p<0.05$, *** $\mathrm{p}<0.01$.

Figure 7.1: Pre-WWI matching was assortative according to age

## Pre-War Age Difference, 1909-14



Note: Cls only use marriages with brides aged 15 to 49 and grooms aged 18 to 59
Note: For ease of presentation, the figure contains only marriages in which the bride was aged 15 to 49 and the groom was aged 18 to 59 . This excludes $3.4 \%$ of pre-WWI marriages.

Figure 7.2. The distribution of age difference before and after WWI

## Panel 1



Panel 2


Cumulative distribution of age difference
Cumulative distribution of age difference grooms aged 18-27 in low-mortality departements


## Panel 3



Table 7.1: Predicting bride's age minus groom's age, ols

|  | (1) | (2) | (3) | (4) | (5) | (6) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{gathered} 0.106 * * * \\ (0.019) \end{gathered}$ | $\begin{aligned} & 0.112 * * * \\ & (0.021) \end{aligned}$ |  |  |  |  |
| Mortality, Grooms 21 \& younger |  |  | $\begin{gathered} 0.101 * \\ (0.054) \end{gathered}$ |  |  |  |
| Mortality, Grooms 22 to 24 |  |  | 0.104*** |  |  |  |
|  |  |  | (0.022) |  |  |  |
| Mortality, Grooms 25 to 27 |  |  | $\begin{aligned} & 0.141 * * * \\ & (0.027) \end{aligned}$ |  |  |  |
| Mortality, Grooms 28 to 30 |  |  | $\begin{aligned} & 0.114 * * * \\ & (0.029) \end{aligned}$ |  |  |  |
| Mortality, Grooms 31 to 33 |  |  | $\begin{aligned} & 0.086 * * \\ & (0.035) \end{aligned}$ |  |  |  |
| Mortality, Grooms 34 to 44 |  |  | 0.092* |  |  |  |
|  |  |  | (0.048) |  |  |  |
| Mortality, Grooms 45 \& older |  |  | $\begin{array}{r} 0.081 \\ (0.072) \end{array}$ |  |  |  |
| Sex Ratio |  |  |  | $\begin{aligned} & -6.693 * * * \\ & (2.203) \end{aligned}$ | $\begin{aligned} & -6.970 * * * \\ & (2.306) \end{aligned}$ |  |
| Sex Ratio, Grooms 21 \& younger |  |  |  |  |  | $\begin{array}{r} -6.607 \\ (4.037) \end{array}$ |
| Sex Ratio, Grooms 22 to 24 |  |  |  |  |  | $\begin{aligned} & -5.073 * * \\ & (2.510) \end{aligned}$ |
| Sex Ratio, Grooms 25 to 27 |  |  |  |  |  | $\begin{aligned} & -9.885 * * * \\ & (2.560) \end{aligned}$ |
| Sex Ratio, Grooms 28 to 30 |  |  |  |  |  | $\begin{aligned} & -8.726 \text { *** } \\ & (2.398) \end{aligned}$ |
| Sex Ratio, Grooms 31 to 33 |  |  |  |  |  | $\begin{aligned} & -7.749 * \\ & (3.991) \end{aligned}$ |
| Sex Ratio, Grooms 34 to 44 |  |  |  |  |  | $\begin{array}{r} -2.751 \\ (3.809) \end{array}$ |
| Sex Ratio, Grooms 45 \& older |  |  |  |  |  | $\begin{array}{r} -6.075 \\ (6.045) \end{array}$ |
| Grooms 22 to 24 yrs | $\begin{aligned} & -1.982 * * * \\ & (0.262) \end{aligned}$ | $\begin{aligned} & -1.939 * * * \\ & (0.240) \end{aligned}$ | $\begin{aligned} & -1.964 * * * \\ & (0.631) \end{aligned}$ | $\begin{aligned} & -1.993 * * * \\ & (0.200) \end{aligned}$ | $\begin{aligned} & -1.959 * * * \\ & (0.203) \end{aligned}$ | $\begin{array}{r} -3.518 \\ (3.137) \end{array}$ |
| Grooms 25 to 27 yrs | $\begin{aligned} & -3.571 * * \\ & (0.376) \end{aligned}$ | $\begin{aligned} & -3.503 * * * \\ & (0.353) \end{aligned}$ | $\begin{aligned} & -3.810 * * * \\ & (0.721) \end{aligned}$ | $\begin{aligned} & -3.542 * * * \\ & (0.237) \end{aligned}$ | $\begin{aligned} & -3.475 * * * \\ & (0.236) \end{aligned}$ | $\begin{array}{r} -0.129 \\ (2.771) \end{array}$ |
| Grooms 28 to 30 yrs | $\begin{aligned} & -4.813 * * * \\ & (0.411) \end{aligned}$ | $\begin{aligned} & -4.735 \text { *** } \\ & (0.388) \end{aligned}$ | $\begin{aligned} & -4.847 \text { *** } \\ & (0.842) \end{aligned}$ | $\begin{aligned} & -4.779 \text { *** } \\ & (0.279) \end{aligned}$ | $\begin{aligned} & -4.702 \text { *** } \\ & (0.278) \end{aligned}$ | $\begin{array}{r} -2.564 \\ (3.591) \end{array}$ |
| Grooms 31 to 33 yrs | $\begin{aligned} & -6.222 * * * \\ & (0.329) \end{aligned}$ | $\begin{aligned} & -6.141 * * * \\ & (0.317) \end{aligned}$ | $\begin{aligned} & -6.048 * * * \\ & (0.701) \end{aligned}$ | $\begin{aligned} & -6.274 * * * \\ & (0.351) \end{aligned}$ | $\begin{aligned} & -6.191 * * * \\ & (0.338) \end{aligned}$ | $\begin{array}{r} -5.043 \\ (3.561) \end{array}$ |
| Grooms 34 to 44 yrs | $\begin{aligned} & -7.689 * * \\ & (0.418) \end{aligned}$ | $\begin{aligned} & -7.580 \text { *** } \\ & (0.399) \end{aligned}$ | $\begin{aligned} & -7.526 * * * \\ & (0.914) \end{aligned}$ | $\begin{aligned} & -7.599 * * \\ & (0.326) \end{aligned}$ | $\begin{aligned} & -7.486 * * * \\ & (0.324) \end{aligned}$ | $\begin{aligned} & -11.364 * * * \\ & (4.022) \end{aligned}$ |
| Grooms 45+ yrs | $\begin{aligned} & -11.529 * * * \\ & (0.441) \end{aligned}$ | $\begin{aligned} & -11.451 * * * \\ & (0.422) \end{aligned}$ | $\begin{aligned} & -11.316 * * * \\ & (0.626) \end{aligned}$ | $\begin{aligned} & -11.459 * * * \\ & (0.485) \end{aligned}$ | $\begin{aligned} & -11.366 * * * \\ & (0.490) \end{aligned}$ | $\begin{aligned} & -11.901 * \\ & (6.701) \end{aligned}$ |
| Rural | $\begin{aligned} & -0.600 \text { *** } \\ & (0.154) \end{aligned}$ | $\begin{aligned} & -0.445 * * * \\ & (0.126) \end{aligned}$ | $\begin{aligned} & -0.444 * * * \\ & (0.127) \end{aligned}$ | $\begin{aligned} & -0.537 * * * \\ & (0.163) \end{aligned}$ | $\begin{aligned} & -0.383 * * \\ & (0.173) \end{aligned}$ | $\begin{aligned} & -0.377 * * \\ & (0.170) \end{aligned}$ |
| Excess Foreign Males | $\begin{aligned} & -0.222 * * \\ & (0.087) \end{aligned}$ | $\begin{aligned} & -0.235 * * * \\ & (0.080) \end{aligned}$ | $\begin{aligned} & -0.242 * * * \\ & (0.080) \end{aligned}$ | $\begin{array}{r} -0.121 \\ (0.186) \end{array}$ | $\begin{aligned} & -0.129 \\ & (0.184) \end{aligned}$ | $\begin{array}{r} -0.135 \\ (0.183) \end{array}$ |
| \% Females 20-29 | 0.288*** | 0.321*** | 0.343*** | 0.294 | 0.328 | 0.318 |
|  | (0.093) | (0.089) | (0.095) | (0.303) | (0.306) | (0.305) |
| \% Females 30-39 | 0.464 *** | 0.517*** | 0.536*** | 0.279 | 0.322 | 0.339 |
|  | (0.078) | (0.079) | (0.083) | (0.224) | (0.227) | (0.226) |
| \% Females 40-49 | 0.135 | 0.180* | 0.208** | 0.056 | 0.102 | 0.105 |
|  | (0.103) | (0.098) | (0.098) | (0.279) | (0.281) | (0.283) |
| Groom Class Dummies | No | Yes | Yes | No | Yes | Yes |
| Bride Class Dummies | No | Yes | Yes | No | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.265 | 0.270 | 0.270 | 0.259 | 0.265 | 0.266 |
| Observations | 5832 | 5832 | 5832 | 6067 | 6067 | 6067 |

Notes: The dependent variable is the age of the bride minus the age of the groom. Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911, and is zero for marriages that occurred before the war. Sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The omitted category for groom age is 21 and younger. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. The female population age groups are calculated as percentages of the female population aged 15 to 49 . The omitted category is age 15 to 19. Pre-war marriages take the female age distribution from 1911; post-war marriages take the female age distribution from 1921. Female occupation distribution controls are the percentages of the female labour force who are: managers, employees, workers, self-employed and unemployed. Class dummies include, for bride and groom, six dummies for actual class (omitting one class), a "no occupation" dummy, and an "other missing" dummy. Standard errors, given in parentheses, are clustered at the level of variation in either the sex ratio or military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Figure 7.3: Distribution of grooms' and brides' ages before and after the war


## Distribution of the Bride's Age



## Table 7.2: Predicting bride's age minus groom's age, IV

Panel A: Stage 1 regressions with negative sex ratio as the dependent variable

|  | (1) | ( 2 ) | (3) |
| :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.007 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.001) \end{aligned}$ |  |
| Grooms 22 to 24 yrs | 0.001 | 0.001 |  |
|  | (0.001) | (0.001) |  |
| Grooms 25 to 27 yrs | 0.001 | 0.001 |  |
|  | (0.001) | (0.001) |  |
| Grooms 28 to 30 yrs | 0.001 | 0.002 |  |
|  | (0.001) | (0.001) |  |
| Grooms 31 to 33 yrs | 0.001 | 0.001 |  |
|  | (0.001) | (0.001) |  |
| Grooms 34 to 44 yrs | 0.001 | 0.001 |  |
|  | (0.001) | (0.001) |  |
| Grooms 45+ yrs | 0.001 | 0.001 |  |
|  | (0.001) | (0.001) | not |
| Rural | -0.000 | 0.000 | presented |
|  | (0.001) | (0.001) |  |
| Excess Foreign Males | 0.020*** | 0.020 *** |  |
|  | (0.002) | (0.002) |  |
| \% Females 20-29 | 0.039*** | 0.039*** |  |
|  | (0.009) | (0.009) |  |
| \% Females 30-39 | 0.009 | 0.009 |  |
|  | (0.006) | (0.006) |  |
| \% Females 40-49 | 0.004 | 0.004 |  |
|  | (0.009) | (0.009) |  |
| Groom Class Dummies | No | Yes |  |
| Bride Class Dummies | No | Yes |  |
| Departement Dummies | Yes | Yes |  |
| Linear Time Trend | Yes | Yes |  |
| R-Squared | 0.934 | 0.934 |  |
| Observations | 5802 | 5802 |  |

Notes: Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * p<0.10, ** p<0.05, *** p<0.01.

Panel B: Stage 2 regressions with dependent variable bride's age minus groom's age

|  | (1) | ( 2 ) | (3) |
| :---: | :---: | :---: | :---: |
| Sex Ratio | $\begin{aligned} & -18.839 * * * \\ & (3.888) \end{aligned}$ | $\begin{aligned} & -19.942 \text { *** } \\ & (4.045) \end{aligned}$ |  |
| Sex Ratio, Grooms 21 and younger |  |  | -14.174 |
|  |  |  | (12.866) |
| Sex Ratio, Grooms 22 to 24 |  |  | $-18.557 * * *$ |
| Sex Ratio, Grooms 25 to 27 |  |  | -25.955*** |
|  |  |  | (5.912) |
| Sex Ratio, Grooms 28 to 30 |  |  | -18.784*** |
|  |  |  | (5.438) |
| Sex Ratio, Grooms 31 to 33 |  |  | -13.416 |
|  |  |  | (8.526) |
| Sex Ratio, Grooms 34 to 44 |  |  | -14.708 |
|  |  |  | (11.152) |
| Sex Ratio, Grooms 45 and older |  |  | -9.454 |
|  |  |  | (27.910) |
| Grooms 22 to 24 yrs | -1.959*** | -1.914*** | 2.511 |
|  | (0.203) | (0.206) | (14.111) |
| Grooms 25 to 27 yrs | -3.557*** | -3.489*** | 8.487 |
|  | (0.245) | (0.244) | (14.479) |
| Grooms 28 to 30 yrs | -4.783*** | -4.704*** | -0.053 |
|  | (0.287) | (0.285) | (14.276) |
| Grooms 31 to 33 yrs | -6.219*** | -6.138*** | -6.895 |
|  | (0.354) | (0.338) | (14.484) |
| Grooms 34 to 44 yrs | -7.690*** | -7.580*** | -7.015 |
|  | (0.332) | (0.328) | (16.986) |
| Grooms 45+ yrs | -11.483*** | -11.405*** | -16.095 |
|  | (0.491) | (0.494) | (31.080) |
| Rural | -0.599*** | -0.435** | -0.429** |
|  | (0.162) | (0.173) | (0.169) |
| Excess Foreign Males | 0.238 | 0.253 | 0.228 |
|  | (0.170) | (0.169) | (0.174) |
| \% Females 20-29 | 0.743** | 0.829 *** | 0.861** |
|  | (0.313) | (0.322) | (0.361) |
| \% Females 30-39 | 0.742*** | 0.808 *** | 0.835*** |
|  | (0.242) | (0.253) | (0.268) |
| \% Females 40-49 | 0.338 | 0.393 | 0.439 |
|  | (0.265) | (0.276) | (0.316) |
| Groom Class Dummies | No | Yes | Yes |
| Bride Class Dummies | No | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes |
| R-Squared | 0.263 | 0.268 | 0.267 |
| Observations | 5802 | 5802 | 5802 |

Notes: These regressions use military mortality as a instrument for the sex ratio in IV regressions predicting the age of the bride minus the age of the groom. Panel A presents the stage 1 regressions, in which the dependent variable is the sex ratio. The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49. The instrument, military mortality, is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911, and is zero for marriages that occurred before the war. Panel B presents the stage 2 regressions, in which the dependent variable is the bride's age minus the groom's age. The stage 1 regressions for specification 3, in which there are seven instruments, are not presented. The omitted category for groom age is 21 and younger. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. The female population age groups are calculated as percentages of the female population aged 15 to 49 . The omitted category is age 15 to 19 . Pre-war marriages take the female age distribution from 1911; post-war marriages take the female age distribution from 1921. Female occupation distribution controls are the percentages of the female labour force who are: managers, employees, workers, self-employed and unemployed. Class dummies include, for bride and groom, six dummies for actual class (omitting one class), a "no occupation" dummy, and an "other missing" dummy. Standard errors, given in parentheses, are clustered at the level of variation in the sex ratio. Asterisks indicate: * p<0.10, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

## APPENDICES FOR REFEREES AND NOT NECESSARILY FOR PUBLICATION

## Appendix A: Short sample

Table A1: Men marry up more where military mortality was higher, ols, years 1909 to 1923

|  | class diff | $s$ diff | married up married |  | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.025 * * * \\ & (0.005) \end{aligned}$ | $\begin{aligned} & -0.026 * * * \\ & (0.006) \end{aligned}$ | $\begin{aligned} & 0.008 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & 0.009 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & -0.016 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & -0.016 * * * \\ & (0.003) \end{aligned}$ |
| Rural |  | $\begin{aligned} & 0.263 * * * \\ & (0.072) \end{aligned}$ |  | $\begin{aligned} & -0.055 * * \\ & (0.023) \end{aligned}$ |  | $\begin{array}{r} -0.011 \\ (0.026) \end{array}$ |
| \% Female Managers |  | $\begin{gathered} -0.001 \\ (0.013) \end{gathered}$ |  | $\begin{aligned} & -0.012 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{array}{r} 0.001 \\ (0.005) \end{array}$ |
| \% Female Employees |  | $\begin{aligned} & -0.044 * * * \\ & (0.014) \end{aligned}$ |  | $\begin{array}{r} 0.004 \\ (0.006) \end{array}$ |  | $\begin{aligned} & -0.014 * * \\ & (0.006) \end{aligned}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.021 * \\ & (0.012) \end{aligned}$ |  | $\begin{aligned} & -0.013 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{gathered} 0.008 * \\ (0.004) \end{gathered}$ |
| \% Female Unemployed |  | $\begin{gathered} 0.060 * * \\ (0.023) \end{gathered}$ |  | $\begin{aligned} & -0.032 * * * \\ & (0.008) \end{aligned}$ |  | $\begin{aligned} & 0.043 * * * \\ & (0.009) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{gathered} -0.054 \\ (0.059) \end{gathered}$ |  | $\begin{aligned} & -0.026 \\ & (0.018) \end{aligned}$ |  | $\begin{gathered} 0.037 * * \\ (0.017) \end{gathered}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.375 \\ (0.567) \end{array}$ |  | $\begin{array}{r} 0.131 \\ (0.180) \end{array}$ |  | $\begin{array}{r} 0.071 \\ (0.174) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.215 \\ (0.519) \end{array}$ |  | $\begin{array}{r} -0.209 \\ (0.169) \end{array}$ |  | $\begin{array}{r} 0.110 \\ (0.190) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.246 | 0.250 | 0.288 | 0.291 | 0.241 | 0.241 |
| Observations | 2248 | 2212 | 2156 | 2122 | 2248 | 2212 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5, 6 or 7 ). Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table A2: Men marry up more when the sex ratio is lower, ols, years 1909 to 1923

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sex Ratio | 2.059* | 2.496*** | -0.934*** | -0.809** | 1.531*** | 1.638*** |
|  | (1.053) | (0.940) | (0.335) | (0.332) | (0.352) | (0.369) |
| Rural |  | 0.284*** |  | -0.063** |  | -0.001 |
|  |  | (0.084) |  | (0.029) |  | (0.032) |
| \% Female Managers |  | -0.011 |  | -0.009 |  | -0.005 |
|  |  | (0.018) |  | (0.006) |  | (0.007) |
| \% Female Employees |  | -0.025 |  | -0.002 |  | -0.001 |
|  |  | (0.023) |  | (0.008) |  | (0.010) |
| \% Female Self-Employed |  | -0.025 |  | -0.012 |  | 0.005 |
|  |  | (0.020) |  | (0.007) |  | (0.008) |
| \% Female Unemployed |  | 0.042 |  | -0.027** |  | 0.031* |
|  |  | (0.042) |  | (0.012) |  | (0.018) |
| Excess Foreign Males |  | -0.132 |  | 0.000 |  | -0.015 |
|  |  | (0.084) |  | (0.027) |  | (0.027) |
| Groom's Age (/100) |  | 0.201 |  | 0.164 |  | 0.023 |
|  |  | (0.593) |  | (0.198) |  | (0.194) |
| Bride's Age (/100) |  | -0.192 |  | -0.208 |  | 0.100 |
|  |  | (0.532) |  | (0.181) |  | (0.175) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.239 | 0.248 | 0.287 | 0.290 | 0.236 | 0.239 |
| Observations | 2270 | 2260 | 2177 | 2168 | 2270 | 2260 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5, 6 or 7). The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

## Table A3: Men marry up more when the sex ratio is lower, IV, years 1909 to 1923

Panel A: Stage 1 regressions with sex ratio as the dependent variable

|  | (1) | ( 2 ) | (3) | (4) | ( 5 ) | ( 6 ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.006 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.000) \end{aligned}$ |
| Rural |  | -0.001 |  | -0.001 |  | -0.001 |
|  |  | (0.001) |  | (0.001) |  | (0.001) |
| \% Female Managers |  | 0.003* |  | 0.003* |  | 0.003* |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Female Employees |  | -0.008** |  | -0.008** |  | -0.008** |
|  |  | (0.004) |  | (0.004) |  | (0.004) |
| \% Female Self-Employed |  | 0.002 |  | 0.002 |  | 0.002 |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Female Unemployed |  | 0.011** |  | 0.011** |  | 0.011** |
|  |  | (0.005) |  | (0.005) |  | (0.005) |
| Excess Foreign Males |  | 0.032*** |  | 0.032*** |  | 0.032 *** |
|  |  | (0.005) |  | (0.006) |  | (0.005) |
| Groom's Age (/100) |  | 0.002 |  | 0.001 |  | 0.002 |
|  |  | (0.003) |  | (0.003) |  | (0.003) |
| Bride's Age (/100) |  | 0.002 |  | 0.001 |  | 0.002 |
|  |  | (0.004) |  | (0.005) |  | (0.004) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.941 | 0.964 | 0.940 | 0.964 | 0.941 | 0.964 |
| Observations | 2222 | 2212 | 2131 | 2122 | 2222 | 2212 |

Notes: Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Panel B: Stage 2 regressions
Dependent variable:
class diff class diff married up married up low bride low bride

| Sex Ratio | $\begin{aligned} & 4.710 * * * \\ & (1.258) \end{aligned}$ | $\begin{aligned} & 4.139 * * * \\ & (1.425) \end{aligned}$ | $\begin{aligned} & -1.586 * * * \\ & (0.471) \end{aligned}$ | $\begin{aligned} & -1.495 * * * \\ & (0.480) \end{aligned}$ | $\begin{aligned} & 2.990 * * * \\ & (0.548) \end{aligned}$ | $\begin{aligned} & 2.614 * * * \\ & (0.607) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Rural |  | 0.265*** |  | -0.056* |  | -0.009 |
|  |  | (0.082) |  | (0.029) |  | (0.032) |
| \% Female Managers |  | -0.014 |  | -0.008 |  | -0.007 |
|  |  | (0.018) |  | (0.006) |  | (0.007) |
| \% Female Employees |  | -0.010 |  | -0.008 |  | 0.008 |
|  |  | (0.024) |  | (0.008) |  | (0.011) |
| \% Female Self-Employed |  | -0.028 |  | -0.010 |  | 0.004 |
|  |  | (0.020) |  | (0.007) |  | (0.008) |
| \% Female Unemployed |  | 0.015 |  | -0.016 |  | 0.015 |
|  |  | (0.043) |  | (0.012) |  | (0.019) |
| Excess Foreign Males |  | -0.186* |  | 0.022 |  | -0.046 |
|  |  | (0.097) |  | (0.032) |  | (0.032) |
| Groom's Age (/100) |  | 0.366 |  | 0.133 |  | 0.066 |
|  |  | (0.590) |  | (0.195) |  | (0.191) |
| Bride's Age (/100) |  | -0.221 |  | -0.208 |  | 0.106 |
|  |  | (0.530) |  | (0.178) |  | (0.176) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.238 | 0.249 | 0.287 | 0.290 | 0.231 | 0.238 |
| Observations | 2222 | 2212 | 2131 | 2122 | 2222 | 2212 |

Notes: These regressions use military mortality as a instrument for the sex ratio in IV regressions predicting bride class minus groom class, whether the groom married a bride of at least as high class as his own, or whether the bride was low class. Panel A presents the stage 1 regressions, in which the dependent variable is the sex ratio. The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911, and is zero for marriages that occurred before the war. Panel B presents the stage 2 regressions, in which the dependent variable is the bride's class minus the groom's class for columns one and two, an indicator variable for the groom marrying a weakly higher class bride for the third and fourth columns, and an indicator variable for the bride being of low class (class 5 , 6 or 7 ) for the last two columns. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $p<0.10$, ** $p<0.05$, *** $\mathrm{p}<0.01$.

## Appendix B: Fathers' classes

Table B1: Men marry up more where military mortality was higher, oLS, defining class as the class of the
father

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | -0.009 | 0.000 | 0.007*** | 0.007*** | -0.007** | -0.003 |
|  | (0.008) | (0.009) | (0.002) | (0.002) | (0.003) | (0.003) |
| Rural |  | 0.152 * |  | -0.014 |  | -0.098*** |
|  |  | (0.090) |  | (0.027) |  | (0.029) |
| \% Male Managers |  | 0.011 |  | -0.021*** |  | 0.001 |
|  |  | (0.013) |  | (0.004) |  | (0.004) |
| \% Male Employees |  | 0.012 |  | -0.024*** |  | 0.001 |
|  |  | (0.018) |  | (0.004) |  | (0.006) |
| \% Male Self-Employed |  | 0.020 |  | -0.006 |  | 0.010* |
|  |  | (0.015) |  | (0.005) |  | (0.005) |
| \% Male Unemployed |  | -0.004 |  | -0.003 |  | 0.006 |
|  |  | (0.020) |  | (0.005) |  | (0.006) |
| Excess Foreign Males |  | -0.013 |  | 0.001 |  | 0.008 |
|  |  | (0.036) |  | (0.012) |  | (0.010) |
| Groom's Age (/100) |  | -0.292 |  | 0.411** |  | -0.502** |
|  |  | (0.583) |  | (0.201) |  | (0.206) |
| Bride's Age (/100) |  | -2.439*** |  | 0.081 |  | -0.570** |
|  |  | (0.813) |  | (0.200) |  | (0.276) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.202 | 0.213 | 0.280 | 0.285 | 0.202 | 0.219 |
| Observations | 2034 | 1966 | 1944 | 1882 | 2034 | 1966 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 ). Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. The omitted category for male occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table B2: Men marry up more when the sex ratio is lower, oLS, defining class as the class of the father Dependent variable:

| Sex Ratio | $\begin{array}{r} 0.888 \\ (0.679) \end{array}$ | $\begin{gathered} -0.678 \\ (1.221) \end{gathered}$ | $\begin{aligned} & -0.683 * * * \\ & (0.192) \end{aligned}$ | $\begin{gathered} -0.651 * \\ (0.343) \end{gathered}$ | $\begin{gathered} 0.432 * \\ (0.243) \end{gathered}$ | $\begin{array}{r} -0.245 \\ (0.399) \end{array}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Rural |  | 0.161 * |  | -0.013 |  | -0.090*** |
|  |  | (0.089) |  | (0.026) |  | (0.027) |
| \% Male Managers |  | -0.022 |  | -0.008 |  | -0.004 |
|  |  | (0.028) |  | (0.008) |  | (0.009) |
| \% Male Employees |  | 0.000 |  | 0.001 |  | 0.002 |
|  |  | (0.037) |  | (0.010) |  | (0.011) |
| \% Male Self-Employed |  | 0.011 |  | -0.006 |  | 0.008 |
|  |  | (0.022) |  | (0.008) |  | (0.008) |
| \% Male Unemployed |  | -0.068** |  | 0.000 |  | -0.019 |
|  |  | (0.030) |  | (0.009) |  | (0.011) |
| Excess Foreign Males |  | -0.023 |  | 0.004 |  | 0.022 |
|  |  | (0.057) |  | (0.018) |  | (0.019) |
| Groom's Age (/100) |  | -0.629 |  | 0.613** |  | -0.546** |
|  |  | (0.818) |  | (0.267) |  | (0.218) |
| Bride's Age (/100) |  | -1.938** |  | 0.009 |  | -0.483** |
|  |  | (0.886) |  | (0.258) |  | (0.216) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.200 | 0.210 | 0.283 | 0.288 | 0.202 | 0.219 |
| Observations | 2109 | 2088 | 2014 | 1994 | 2109 | 2088 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 ). The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The omitted category for male occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table B3: Men marry up more when the sex ratio is lower, IV, defining class as the class of the father
Panel A: Stage 1 regressions with sex ratio as the dependent variable

|  | (1) | ( 2 ) | (3) | (4) | (5) | ( 6 ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.009 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.009 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.009 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.006 * * * \\ & (0.001) \end{aligned}$ |
| Rural |  | 0.001 |  | 0.001 |  | 0.001 |
|  |  | (0.001) |  | (0.001) |  | (0.001) |
| \% Male Managers |  | -0.002 |  | -0.002 |  | -0.002 |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Male Employees |  | 0.016*** |  | 0.017*** |  | 0.016*** |
|  |  | (0.002) |  | (0.003) |  | (0.002) |
| \% Male Self-Employed |  | 0.006*** |  | 0.006*** |  | 0.006*** |
|  |  | (0.001) |  | (0.001) |  | (0.001) |
| \% Male Unemployed |  | -0.015*** |  | -0.015*** |  | -0.015*** |
|  |  | (0.002) |  | (0.001) |  | (0.002) |
| Excess Foreign Males |  | 0.019*** |  | 0.019*** |  | 0.019*** |
|  |  | (0.003) |  | (0.003) |  | (0.003) |
| Groom's Age (/100) |  | 0.004 |  | 0.004 |  | 0.004 |
|  |  | (0.010) |  | (0.010) |  | (0.010) |
| Bride's Age (/100) |  | 0.004 |  | 0.005 |  | 0.004 |
|  |  | (0.009) |  | (0.010) |  | (0.009) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.885 | 0.950 | 0.886 | 0.952 | 0.885 | 0.950 |
| Observations | 1972 | 1951 | 1887 | 1867 | 1972 | 1951 |

Notes: Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Panel B: Stage 2 regressions

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sex Ratio | $\begin{array}{r} 1.029 \\ (0.981) \end{array}$ | $-0.654$ <br> (1.980) | $\begin{aligned} & -0.767 * * * \\ & (0.292) \end{aligned}$ | $\left(\begin{array}{l} -1.103 * \\ (0.606) \end{array}\right.$ | $\begin{gathered} 0.719 * * \\ (0.321) \end{gathered}$ | $0.189$ |
| Rural |  | $\begin{gathered} 0.172 * * \\ (0.082) \end{gathered}$ |  | $\begin{array}{r} -0.019 \\ (0.026) \end{array}$ |  | $\begin{aligned} & -0.095 * * * \\ & (0.027) \end{aligned}$ |
| \% Male Managers |  | $\begin{array}{r} -0.023 \\ (0.028) \end{array}$ |  | $\begin{aligned} & -0.011 \\ & (0.008) \end{aligned}$ |  | $\begin{array}{r} -0.002 \\ (0.009) \end{array}$ |
| \% Male Employees |  | $\begin{aligned} & -0.004 \\ & (0.044) \end{aligned}$ |  | $\begin{array}{r} 0.009 \\ (0.012) \end{array}$ |  | $\begin{array}{r} -0.004 \\ (0.014) \end{array}$ |
| \% Male Self-Employed |  | $\begin{array}{r} 0.007 \\ (0.027) \end{array}$ |  | $\begin{array}{r} 0.004 \\ (0.010) \end{array}$ |  | $\begin{array}{r} 0.004 \\ (0.011) \end{array}$ |
| \% Male Unemployed |  | $\begin{gathered} -0.067 * \\ (0.036) \end{gathered}$ |  | $\begin{aligned} & -0.006 \\ & (0.012) \end{aligned}$ |  | $\begin{array}{r} -0.010 \\ (0.013) \end{array}$ |
| Excess Foreign Males |  | $\begin{array}{r} -0.036 \\ (0.074) \end{array}$ |  | $\begin{array}{r} 0.022 \\ (0.023) \end{array}$ |  | $\begin{array}{r} 0.012 \\ (0.025) \end{array}$ |
| Groom's Age (/100) |  | $\begin{array}{r} -0.363 \\ (0.842) \end{array}$ |  | $\begin{gathered} 0.456 * \\ (0.265) \end{gathered}$ |  | $\begin{aligned} & -0.504 \text { ** } \\ & (0.219) \end{aligned}$ |
| Bride's Age (/100) |  | $\begin{aligned} & -2.408 * * * \\ & (0.878) \end{aligned}$ |  | $\begin{array}{r} 0.094 \\ (0.244) \end{array}$ |  | $\begin{aligned} & -0.556 * * \\ & (0.219) \end{aligned}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.205 | 0.217 | 0.280 | 0.284 | 0.201 | 0.219 |
| Observations | 1972 | 1951 | 1887 | 1867 | 1972 | 1951 |

Notes: These regressions use military mortality as a instrument for the sex ratio in IV regressions predicting bride class minus groom class, whether the groom married a bride of at least as high class as his own or whether the bride was low class. Panel A presents the stage 1 regressions, in which the dependent variable is the sex ratio. The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. Panel B presents the stage 2 regressions, in which the dependent variable is the bride's class minus the groom's class for columns one and two, an indicator variable for the groom marrying a weakly higher class bride for the third and fourth columns, and an indicator variable for the bride being of low class (class 5 , 6 or 7 for the last two columns. The omitted category for male occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * p<0.10, ** p<0.05, *** $\mathrm{p}<0.01$.

## Appendix C: Variable definitions

## Dependent variables:

Assortative matching by class (see class definition in section 4.1)
Bride minus groom class: This variable is the class of the bride minus the class of the groom, which is a marriage-level variable.
Married up: The variable the groom married up is a marriage-level dummy variable that takes the value 1 if the bride is in at least as high a class as the groom.
Low bride class: This is a marriage-level dummy variable that takes the value 1 if the bride is class 5 , 6 or 7. That is, if she is a low-skilled or unskilled manual or farm worker.

Assortative matching by age
Bride minus groom's age: This variable is the age of the bride minus the age of the groom, which is a marriage-level variable.

## Main independent variables:

Military mortality: We use military mortality data from the French ministry of defense. ${ }^{1}$ Military mortality is defined at the département-level as a percentage of the male population aged 18 to 59 in 1911; we set its value to zero for marriages that occurred before WWI.
Sex ratio: The sex ratio is defined as the number of men aged 18 to 59 years divided by the number of women aged 15 to 49 years. It is defined at the département level for each census period, namely 1911, 1921 and 1926. Thus marriages in the period 1909 to 1914 take the value from 1911, marriages in the period 1918 to 1923 take the value from 1921, and marriages in the period 1924 to 1928 take the value from 1926.

## Other control variables:

Départements: We use the 90 historical départements that existed at the end of WWI. These départements include Moselle, Bas-Rhin and Haut-Rhin, which were gained from Germany in 1919. However, we do not have département-level data from the census for the pre-war period for these three départements, nor military mortality. Consequently, because we include département dummies, observations from these three départements do not contribute to the estimation of the coefficients on military mortality or sex ratio.
Female occupation variables (\% managers, \% employees, \% unemployed, \% self-employed): In the censuses of 1906, 1921 and 1926, the female labor force is categorized into five groups: managers, employees, workers, unemployed and self-employed. With workers as the omitted category, we use four variables for the percentage of the female labor force that falls into each of the other categories at the département level. Marriages in the period 1909 to 1914 take the values from the 1906 census. Marriages in the period 1918 to 1923 take the values from the 1921 census. Marriages in the period 1924 to 1928 take the values from the 1921 census in regressions where the mortality rate and not the sex ratio is included as an explanatory variable, and take the values from the 1926 census in the IV regressions and the other regressions where the sex ratio and not the mortality rate is included as an explanatory variable.
Male occupation variables (\% managers, \% employees, \% unemployed, \% self-employed): These variables are the male parallels of the female occupation variables.

[^24]Female population age groups (\% Females 20-29, \% Females 30-39, \% Females 40-49): They are calculated at the département level as percentage of the female population aged 15-49. Women aged 15 to 19 is the omitted category. Marriages in the period 1909 to 1914 take the values from the 1911 census. Marriages in the period 1918 to 1928 take the values from the 1921 census.
Excess foreign males: This variable is defined as foreign males as a percentage of total males minus foreign females as a percentage of total females at the département level. We define as foreign all individuals classified by the census as foreign or naturalised French, regardless of their place of birth. Individuals classified as French by the census are considered to not be foreign, regardless of whether they were born in France or not. Marriages in the period 1909 to 1914 take the values from the 1911 census. Marriages in the period 1918 to 1923 take the values from the 1921 census. Marriages in the period 1924 to 1928 take the values from the 1921 census in regressions where the mortality rate and not the sex ratio is included as an explanatory variable, and take the values from the 1926 census in the IV regressions and the other regressions where the sex ratio and not the mortality rate is included as an explanatory variable.
Rural: This a dummy variable defined at the marriage level. It is defined in terms of the administrative status of the place of marriage, which may take the values chef lieu de département, chef lieu d'arrondissement, chef-lieu de canton, and rural. We consider the category rural to indicate a rural marriage, and the other three categories to indicate urban marriages.
Groom's age: The age of the groom is constructed from three marriage-level variables: the age of the groom, the year of the marriage and the groom's year of birth. If the stated age of the groom falls in the range 10 to 89 , this is the value used. If it does not, or the age of the groom is missing, we use the difference between the year of marriage and the groom's year of birth if this falls in the range 10 to 89 . Otherwise the groom's age is missing.
Bride's age: Same as groom's age.

## Appendix D: Probits and ordered probits

Table D1: Men marry up more where military mortality was higher, probit

|  | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & 0.008 * * * \\ & (0.003) \end{aligned}$ | $\begin{aligned} & 0.007 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & -0.015 * * * \\ & (0.004) \end{aligned}$ | $\begin{aligned} & -0.014 * * * \\ & (0.003) \end{aligned}$ |
| Rural |  | $\begin{array}{r} -0.042 \\ (0.026) \end{array}$ |  | $\begin{array}{r} -0.045 \\ (0.027) \end{array}$ |
| \% Female Managers |  | $\begin{aligned} & -0.008 * * \\ & (0.004) \end{aligned}$ |  | $\begin{array}{r} 0.000 \\ (0.005) \end{array}$ |
| \% Female Employees |  | $\begin{gathered} 0.008 * \\ (0.004) \end{gathered}$ |  | $\begin{aligned} & -0.023 * * * \\ & (0.006) \end{aligned}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.013 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{array}{r} 0.005 \\ (0.005) \end{array}$ |
| \% Female Unemployed |  | $\begin{aligned} & -0.053 * * * \\ & (0.007) \end{aligned}$ |  | $\begin{gathered} 0.066 * * * \\ (0.009) \end{gathered}$ |
| Excess Foreign Males |  | $(0.0 .026 *$ |  | $\begin{aligned} & 0.046 * * * \\ & (0.015) \end{aligned}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.161 \\ (0.155) \end{array}$ |  | $\begin{array}{r} 0.187 \\ (0.135) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.023 \\ (0.167) \end{array}$ |  | $\begin{array}{r} -0.091 \\ (0.220) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes |
| Observations | 3000 | 2964 | 3103 | 3065 |

Notes: The dependent variable for the first two columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for columns three and four is a dummy variable that takes the value one if the bride was of low class (class 5, 6 or 7). Marginal effects are presented; the coefficients for the dummy variable rural are for a discrete change from 0 to 1 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table D2: Men marry up more when the sex ratio is lower, probit

| Dependent variable: | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: |
| Sex Ratio | $\begin{aligned} & -0.573 * * * \\ & (0.186) \end{aligned}$ | $\begin{aligned} & -0.901 * * \\ & (0.353) \end{aligned}$ | $\begin{aligned} & 0.912 * * * \\ & (0.262) \end{aligned}$ | $\begin{aligned} & 1.761 * * * \\ & (0.366) \end{aligned}$ |
| Rural |  | $\begin{gathered} -0.054 * \\ (0.031) \end{gathered}$ |  | $\begin{array}{r} -0.036 \\ (0.032) \end{array}$ |
| \% Female Managers |  | $\begin{array}{r} 0.003 \\ (0.008) \end{array}$ |  | $\begin{array}{r} -0.012 \\ (0.008) \end{array}$ |
| \% Female Employees |  | $\begin{gathered} -0.008 \\ (0.009) \end{gathered}$ |  | $\begin{gathered} -0.002 \\ (0.011) \end{gathered}$ |
| \% Female Self-Employed |  | $\begin{array}{r} -0.007 \\ (0.007) \end{array}$ |  | $\begin{array}{r} 0.002 \\ (0.009) \end{array}$ |
| \% Female Unemployed |  | $\begin{array}{r} -0.003 \\ (0.007) \end{array}$ |  | $\begin{aligned} & 0.023 \text { *** } \\ & (0.009) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{gathered} -0.001 \\ (0.021) \end{gathered}$ |  | $\begin{array}{r} 0.007 \\ (0.025) \end{array}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.205 \\ (0.188) \end{array}$ |  | $\begin{array}{r} 0.121 \\ (0.211) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.051 \\ (0.185) \end{array}$ |  | $\begin{array}{r} -0.073 \\ (0.200) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes |
| Observations | 3050 | 3018 | 3156 | 3123 |

Notes: The dependent variable for the first two columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for columns three and four is a dummy variable that takes the value one if the bride was of low class (class 5, 6 or 7). Marginal effects are presented; the coefficients for the dummy variable rural are for a discrete change from 0 to 1 . Sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table D3: Men marry up more where military mortality is higher or the sex ratio lower, ordered probit

|  | (1) | ( 2 ) | (3) | ( 4 ) |
| :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.013 * * \\ & (0.005) \end{aligned}$ | $\begin{aligned} & -0.010 * \\ & (0.006) \end{aligned}$ |  |  |
| Sex Ratio |  |  | $\begin{gathered} 0.659 * \\ (0.354) \end{gathered}$ | $\begin{gathered} 1.212 * * \\ (0.599) \end{gathered}$ |
| Rural |  | $\begin{aligned} & 0.154 * * * \\ & (0.054) \end{aligned}$ |  | $\begin{aligned} & 0.169 * * * \\ & (0.060) \end{aligned}$ |
| \% Female Managers |  | $\begin{aligned} & -0.005 \\ & (0.007) \end{aligned}$ |  | $\begin{array}{r} -0.010 \\ (0.013) \end{array}$ |
| \% Female Employees |  | $\begin{aligned} & -0.042 * * * \\ & (0.008) \end{aligned}$ |  | $\begin{array}{r} -0.005 \\ (0.019) \end{array}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.018 * * \\ & (0.008) \end{aligned}$ |  | $\begin{gathered} -0.003 \\ (0.016) \end{gathered}$ |
| \% Female Unemployed |  | $\begin{aligned} & 0.082 * * * \\ & (0.013) \end{aligned}$ |  | $\begin{array}{r} 0.016 \\ (0.017) \end{array}$ |
| Excess Foreign Males |  | $\begin{array}{r} -0.056 \\ (0.036) \end{array}$ |  | $\begin{array}{r} 0.003 \\ (0.055) \end{array}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.272 \\ (0.323) \end{array}$ |  | $\begin{array}{r} 0.108 \\ (0.413) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.482 \\ (0.374) \end{array}$ |  | $\begin{array}{r} -0.421 \\ (0.426) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes |
| Pseudo R-Squared | 0.083 | 0.084 | 0.080 | 0.082 |
| Observations | 3158 | 3117 | 3208 | 3175 |
| Notes: The dependent variable is the c mortality is the mortality rate of sol marriages that occurred before the war women aged 15 to 49. The omitted cate percentage of males who are foreign mi parentheses, are clustered at the leve in columns 3 and 4. Asterisks indicat | e bride, wh percentage io is defin female occup rcentage of ation in the 0, ** p<0. | the highest ale populati number of m workers. E who are fore military mo 0.01 . | 7 is the 8 to 59 in 8 to 59 di eign males ndard erro n columns | ilitary is zero for he number of d as the in and sex ratio |

## Appendix E: Differential effects by groom class

Table E1: The effect of mortality on marrying up by groom class, oLS
Dependent variable:


Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. "Military mortality, class 1 grooms" is the interaction of military mortality with a dummy for class 1 grooms, and similarly for the other classes. The other controls are a dummy for a rural area, excess foreign males, the ages of the bride and groom, and the distribution of female occupations in the labour force. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table E2: The effect of sex ratio on marrying up by groom class, OLS

Dependent variable:
class diff class diff married up married up low bride low bride

| Sex Ratio, Class 1 Grooms | $\begin{aligned} & 3.859 * * \\ & (1.824) \end{aligned}$ | $\begin{aligned} & 4.923 * * * \\ & (1.847) \end{aligned}$ | $\begin{array}{r} -0.032 \\ (0.622) \end{array}$ | $\begin{array}{r} -0.284 \\ (0.653) \end{array}$ | $\begin{aligned} & 1.810 * * * \\ & (0.591) \end{aligned}$ | $\begin{aligned} & 2.550 * * * \\ & (0.540) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sex Ratio, Class 2 Grooms | 2.169*** | 3.353*** | -1.032*** | -1.343*** | 0.916*** | 1.665*** |
|  | (0.816) | (1.029) | (0.292) | (0.422) | (0.325) | (0.399) |
| Sex Ratio, Class 3 Grooms | 0.577 | 1.653* | -0.483* | -0.765* | 0.730*** | 1.463*** |
|  | (0.616) | (0.884) | (0.252) | (0.389) | (0.255) | (0.347) |
| Sex Ratio, Class 4 Grooms | 0.592 | 1.456* | -0.571* | -0.791** | 0.807*** | 1.334*** |
|  | (0.674) | (0.853) | (0.309) | (0.371) | (0.290) | (0.342) |
| Sex Ratio, Class 5 Grooms | 1.108 | 2.138** | -0.247 | -0.519 | 0.582 * | 1.271*** |
|  | (0.827) | (0.958) | (0.270) | (0.387) | (0.352) | (0.389) |
| Sex Ratio, Class 6 Grooms | -1.582 | -0.487 | 0.522** | 0.232 | -0.087 | 0.480 |
|  | (1.467) | (1.508) | (0.241) | (0.323) | (0.493) | (0.473) |
| Sex Ratio, Class 7 Grooms | -0.345 | 0.746 |  |  | 0.299 | 0.964 |
|  | (1.724) | (1.788) |  |  | (0.593) | (0.588) |
| Other Controls | No | Yes | No | Yes | No | Yes |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.235 | 0.242 | 0.273 | 0.275 | 0.229 | 0.234 |
| Observations | 3208 | 3175 | 3080 | 3048 | 3208 | 3175 |

Notes: The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . 5 Sex ratio, class 1 grooms" is the interaction of sex ratio with a dummy for class 1 grooms, and similarly for the other classes. The dependent variables and other controls are as in Table El. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * p<0.10, ** p<0.05, *** p<0.01.

## Appendix F: Class Size and the magnitude of men's social ascension

In Section 6.3 .3 we show that there is heterogeneity in the impact of the change in sex ratio on marriage outcome by class, with men in lowest classes benefiting the least and men in the high and middle classes benefiting the most. We investigate here whether this is simply the consequence of a mechanical effect due to different class sizes. To do so we consider an economy where (i) the sex ratio is initially equal to 1 , (ii) men and women have vertical preferences regarding their spouse's class, and (iii) the men and women's distribution of classes are identical to those of married individuals in pre-WWI in France (see Table F1).

We start by matching men and women according to their class. For example, in the economy there are 1.1 brides of class 1 and 5.5 grooms of class 1 . This implies that out of these 5.5 grooms, only 1.1 grooms can marry class 1 brides, while the remaining 4.4 class will marry class 2 brides. This leaves only 5.2 class 2 brides to marry class 2 grooms. A large proportion of the class 2 grooms will thus marry class 3 brides. We repeat this exercise in an inductive way. This allows us to obtain the average class of the bride for each groom's class. The results are shown in the second column of Table F2.

We then consider a demographic shock that reduces uniformly across classes the number of men by $8.74 \%$. $^{1}$ Thus, the economy has now a sex-ratio of $91.3 \%$, implying that $8.74 \%$ of the women will remain single. We construct marriage outcomes using the same matching mechanism as above for the pre-shock period. The new averages of bride's class are presented in the third column of Table F2. We can see that due to the shortage of men in higher classes, grooms in classes 5, 6 and 7 are now able to marry only brides of class 5 .

Finally, we compute the average gain for each groom's class measured as the difference between the post-shock and pre-shock average class of the brides. The results are shown in column four of table F2. By construction, these gains are mechanically driven by the different sizes of men and women's classes. We see that classes 6 and 7 those who benefit the most from the shock. This contrasts with the average gain implied by our estimates in Section 6.3 .3 following a similar decrease in sex ratio and where in terms of magnitude, classes 1,2 and 5 benefited the most from the change in sex ratio, while classes 6 and 7 benefit the least.

Thus we are led to conclude that that the mechanical effect due to differences in class sizes is unlikely to be the sole cause of the differential impact of a change in sex ratio across classes.

Table F1: Distribution of classes in France 1909-1914 among married individuals

| Class | Brides | Grooms | Class | Brides | Grooms |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 1.1 | 5.5 | 5 | 33.3 | 20.1 |
| 2 | 9.6 | 17.9 | 6 | 6.4 | 5.4 |
| 3 | 30.6 | 24.2 | 7 | 4.1 | 4.0 |
| 4 | 14.9 | 23.0 |  |  |  |

Table F2: Average class of brides for each class of grooms

| Groom's <br> class | Theoretical <br> pre-shock | Theoretical |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| post-shock |  |  | | Theoretical |
| :---: |
| average |
| gain |$\quad$| Pre-war in |
| :---: |
| the data | Post-war in | Average gain from |
| :---: |
| the data | | estimation of Table E2 <br> (second column) |
| :---: |
| 1 |

[^25]
## Appendix G: Rural versus urban areas

Table G1: The effect of mortality on marrying up is similar in rural and urban areas, ols
Dependent variable:

| Depent variable | class diff | class diff | married up | arried up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Urban Military Mortality | $\begin{gathered} -0.015 * \\ (0.008) \end{gathered}$ | $\begin{gathered} -0.013 * \\ (0.008) \end{gathered}$ | $\begin{gathered} 0.005 * \\ (0.003) \end{gathered}$ | $\begin{array}{r} 0.004 \\ (0.003) \end{array}$ | $\begin{aligned} & -0.009 * * \\ & (0.004) \end{aligned}$ | $\begin{aligned} & -0.009 * * * \\ & (0.003) \end{aligned}$ |
| Rural Military Mortality | $\begin{aligned} & -0.016 * * \\ & (0.006) \end{aligned}$ | $\begin{aligned} & -0.012 * \\ & (0.007) \end{aligned}$ | $\begin{aligned} & 0.006 \text { *** } \\ & (0.002) \end{aligned}$ | $\begin{aligned} & 0.005 * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & -0.012 \text { *** } \\ & (0.003) \end{aligned}$ | $\begin{aligned} & -0.011 * * * \\ & (0.003) \end{aligned}$ |
| Rural | $\begin{aligned} & 0.206 * * * \\ & (0.045) \end{aligned}$ | $\begin{aligned} & 0.175 * * * \\ & (0.045) \end{aligned}$ | $\begin{gathered} -0.031 \\ (0.022) \end{gathered}$ | $\begin{gathered} -0.039 * \\ (0.021) \end{gathered}$ | $\begin{array}{r} -0.010 \\ (0.019) \end{array}$ | $\begin{array}{r} -0.024 \\ (0.019) \end{array}$ |
| \% Female Managers |  | $\begin{array}{r} -0.007 \\ (0.008) \end{array}$ |  | $\begin{aligned} & -0.007 * * \\ & (0.003) \end{aligned}$ |  | $\begin{array}{r} 0.003 \\ (0.003) \end{array}$ |
| \% Female Employees |  | $\begin{aligned} & -0.048 * * * \\ & (0.009) \end{aligned}$ |  | $\begin{gathered} 0.007 * * \\ (0.004) \end{gathered}$ |  | $\begin{aligned} & -0.016 * * * \\ & (0.004) \end{aligned}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.019 * \\ & (0.010) \end{aligned}$ |  | $\begin{aligned} & -0.013 * * * \\ & (0.003) \end{aligned}$ |  | $\begin{gathered} 0.006 * \\ (0.003) \end{gathered}$ |
| \% Female Unemployed |  | $\begin{gathered} 0.098 * * * \\ (0.016) \end{gathered}$ |  | $\begin{aligned} & -0.046 * * * \\ & (0.005) \end{aligned}$ |  | $\begin{aligned} & 0.054 * * * \\ & (0.006) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{array}{r} -0.051 \\ (0.041) \end{array}$ |  | $\begin{aligned} & -0.025 * * \\ & (0.011) \end{aligned}$ |  | $\begin{aligned} & 0.035 * * * \\ & (0.011) \end{aligned}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.382 \\ (0.339) \end{array}$ |  | $\begin{array}{r} 0.159 \\ (0.124) \end{array}$ |  | $\begin{array}{r} 0.155 \\ (0.111) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.582 \\ (0.416) \end{array}$ |  | $\begin{array}{r} -0.081 \\ (0.133) \end{array}$ |  | $\begin{array}{r} -0.086 \\ (0.188) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.243 | 0.243 | 0.271 | 0.273 | 0.235 | 0.236 |
| Observations | 3158 | 3117 | 3033 | 2994 | 3158 | 3117 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable for the bride being low class (class 5 , 6 or 7 ). Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. Urban military mortality is an urban dummy interacted with military mortality; rural military mortality is a rural dummy interacted with military mortality. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table G2: The effect of sex ratio on marrying up is similar in rural and urban areas, ols
Dependent variable:

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Urban Sex Ratio | $\begin{array}{r} 0.749 \\ (0.525) \end{array}$ | $\begin{gathered} 1.728 * \\ (0.944) \end{gathered}$ | $\begin{aligned} & -0.450 * * \\ & (0.190) \end{aligned}$ | $\begin{gathered} -0.706 * \\ (0.367) \end{gathered}$ | $\begin{gathered} 0.475 * * \\ (0.230) \end{gathered}$ | $\begin{aligned} & 1.111 * * * \\ & (0.369) \end{aligned}$ |
| Rural Sex Ratio | $\begin{gathered} 0.979 * \\ (0.555) \end{gathered}$ | $\begin{aligned} & 1.592 * * \\ & (0.707) \end{aligned}$ | $\begin{aligned} & -0.455 * * \\ & (0.229) \end{aligned}$ | $\begin{aligned} & -0.635 * * \\ & (0.301) \end{aligned}$ | $\begin{aligned} & 0.973 \text { *** } \\ & (0.236) \end{aligned}$ | $\begin{aligned} & 1.384 * * * \\ & (0.293) \end{aligned}$ |
| Rural | $\begin{array}{r} -0.024 \\ (0.739) \end{array}$ | $\begin{array}{r} 0.343 \\ (0.851) \end{array}$ | $\begin{array}{r} -0.035 \\ (0.289) \end{array}$ | $\begin{array}{r} -0.115 \\ (0.335) \end{array}$ | $\begin{aligned} & -0.533 * \\ & (0.304) \end{aligned}$ | $\begin{array}{r} -0.306 \\ (0.337) \end{array}$ |
| \% Female Managers |  | $\begin{array}{r} -0.015 \\ (0.015) \end{array}$ |  | $\begin{array}{r} 0.002 \\ (0.006) \end{array}$ |  | $\begin{array}{r} -0.008 \\ (0.006) \end{array}$ |
| \% Female Employees |  | $\begin{aligned} & -0.006 \\ & (0.023) \end{aligned}$ |  | $\begin{array}{r} -0.005 \\ (0.007) \end{array}$ |  | $\begin{array}{r} -0.001 \\ (0.009) \end{array}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.002 \\ & (0.019) \end{aligned}$ |  | $\begin{array}{r} -0.005 \\ (0.006) \end{array}$ |  | $\begin{array}{r} 0.002 \\ (0.008) \end{array}$ |
| \% Female Unemployed |  | $\begin{array}{r} 0.022 \\ (0.022) \end{array}$ |  | $\begin{gathered} -0.004 \\ (0.006) \end{gathered}$ |  | $\begin{aligned} & 0.016 \text { ** } \\ & (0.008) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{array}{r} 0.001 \\ (0.063) \end{array}$ |  | $\begin{array}{r} -0.006 \\ (0.016) \end{array}$ |  | $\begin{array}{r} 0.010 \\ (0.020) \end{array}$ |
| Groom's Age (/100) |  | $\begin{array}{r} 0.195 \\ (0.481) \end{array}$ |  | $\begin{array}{r} 0.193 \\ (0.150) \end{array}$ |  | $\begin{array}{r} 0.099 \\ (0.180) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.515 \\ (0.479) \end{array}$ |  | $\begin{array}{r} -0.096 \\ (0.150) \end{array}$ |  | $\begin{array}{r} -0.073 \\ (0.171) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.235 | 0.239 | 0.271 | 0.272 | 0.228 | 0.232 |
| Observations | 3208 | 3175 | 3080 | 3048 | 3208 | 3175 |

Notes: The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 .
Negative urban sex ratio is the negative of an urban dummy interacted with sex ratio; negative rural sex ratio is the negative of a rural dummy interacted with sex ratio. The dependent variables are as in Table G1. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * p<0.10, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

## Appendix H: Assigning classes to brides with missing class

Figure H1: Marriage outcomes of brides with missing and no occupation


Table H1: Men marry up more where military mortality was higher, oLS, assigning father's class to brides with no occupation

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{array}{r} -0.010 \\ (0.007) \end{array}$ | $\begin{array}{r} -0.010 \\ (0.006) \end{array}$ | $\begin{gathered} 0.004 * \\ (0.002) \end{gathered}$ | $\begin{gathered} 0.004 * * \\ (0.002) \end{gathered}$ | $\begin{aligned} & -0.008 * * \\ & (0.003) \end{aligned}$ | $\begin{aligned} & -0.009 * * * \\ & (0.003) \end{aligned}$ |
| Rural |  | 0.134** |  | -0.024 |  | -0.064*** |
|  |  | (0.054) |  | (0.017) |  | (0.016) |
| \% Female Managers |  | -0.021*** |  | 0.001 |  | -0.005* |
|  |  | (0.008) |  | (0.003) |  | (0.003) |
| \% Female Employees |  | -0.033*** |  | 0.008** |  | $-0.012 * * *$ |
|  |  | (0.011) |  | (0.004) |  | (0.004) |
| \% Female Self-Employed |  | -0.003 |  | -0.004* |  | 0.004 |
|  |  | (0.008) |  | (0.002) |  | (0.004) |
| \% Female Unemployed |  | 0.059*** |  | -0.022*** |  | 0.034 *** |
|  |  | (0.017) |  | (0.004) |  | (0.006) |
| Excess Foreign Males |  | 0.095*** |  | -0.042*** |  | 0.071*** |
|  |  | (0.025) |  | (0.008) |  | (0.009) |
| Groom's Age (/100) |  | 0.306 |  | 0.115 |  | 0.009 |
|  |  | (0.351) |  | (0.144) |  | (0.092) |
| Bride's Age (/100) |  | -0.474 |  | -0.121 |  | 0.031 |
|  |  | (0.394) |  | (0.145) |  | (0.143) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.227 | 0.230 | 0.238 | 0.238 | 0.203 | 0.209 |
| Observations | 4357 | 4281 | 4209 | 4136 | 4357 | 4281 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dumm variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5, 6 or 7). Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table H2: Men marry up more when the sex ratio is lower, OLS, assigning father's class to brides with no occupation

| Dependent variable: | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Sex Ratio | 0.260 | 0.655 | -0.297** | -0.415* | 0.430*** | 0.837*** |
|  | (0.376) | (0.639) | (0.135) | (0.241) | (0.158) | (0.234) |
| Rural |  | 0.136** |  | -0.026 |  | -0.059*** |
|  |  | (0.055) |  | (0.018) |  | (0.018) |
| \% Female Managers |  | -0.014 |  | 0.004 |  | -0.008 |
|  |  | (0.014) |  | (0.005) |  | (0.005) |
| \% Female Employees |  | -0.004 |  | 0.000 |  | 0.003 |
|  |  | (0.018) |  | (0.007) |  | (0.007) |
| \% Female Self-Employed |  | 0.009 |  | -0.004 |  | 0.005 |
|  |  | (0.014) |  | (0.005) |  | (0.006) |
| \% Female Unemployed |  | 0.021 |  | -0.006 |  | 0.013** |
|  |  | (0.018) |  | (0.005) |  | (0.006) |
| Excess Foreign Males |  | 0.069 |  | -0.023* |  | 0.023 |
|  |  | (0.043) |  | (0.012) |  | (0.015) |
| Groom's Age (/100) |  | 0.182 |  | 0.129 |  | -0.039 |
|  |  | (0.458) |  | (0.146) |  | (0.154) |
| Bride's Age (/100) |  | -0.440 |  | -0.125 |  | 0.044 |
|  |  | (0.482) |  | (0.149) |  | (0.152) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.222 | 0.226 | 0.242 | 0.243 | 0.198 | 0.204 |
| Observations | 4443 | 4396 | 4289 | 4243 | 4443 | 4396 |

Notes: The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The dependent variables and other controls are as in Table H1. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * p<0.10, ** p<0.05, *** p<0.01.

Table H3: Men marry up more when the sex ratio is lower, IV, assigning father's class to brides with no occupation

Panel A: Stage 1 regressions with sex ratio as the dependent variable

|  | (1) | ( 2 ) | (3) | ( 4 ) | ( 5 ) | ( 6 ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.010 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.010 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.010 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ |
| Rural |  | $\begin{array}{r} 0.000 \\ (0.001) \end{array}$ |  | $\begin{array}{r} 0.000 \\ (0.001) \end{array}$ |  | $\begin{array}{r} 0.000 \\ (0.001) \end{array}$ |
| \% Female Managers |  | $0.005 * * *$ |  | $0.005 * * *$ |  | $0.005 * * *$ |
| \% Female Employees |  | $(0.001)$ $-0.005 * *$ |  | $(0.001)$ $-0.005 * *$ |  | $\xrightarrow{(0.001)}$ |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Female Self-Employed |  | -0.002 |  | -0.002 |  | -0.002 |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Female Unemployed |  | $\begin{aligned} & -0.003 * * \\ & (0.001) \end{aligned}$ |  | $\begin{aligned} & -0.003 * * \\ & (0.001) \end{aligned}$ |  | $\begin{aligned} & -0.003 * * \\ & (0.001) \end{aligned}$ |
| Excess Foreign Males |  | 0.021 *** |  | 0.021 *** |  | 0.021 *** |
|  |  | (0.004) |  | (0.004) |  | (0.004) |
| Groom's Age (/100) |  | 0.003 |  | 0.001 |  | 0.003 |
|  |  | (0.005) |  | (0.005) |  | (0.005) |
| Bride's Age (/100) |  | -0.008 |  | -0.007 |  | -0.008 |
|  |  | (0.005) |  | (0.005) |  | (0.005) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.888 | 0.942 | 0.887 | 0.941 | 0.888 | 0.942 |
| Observations | 4299 | 4252 | 4153 | 4107 | 4299 | 4252 |

Notes: Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Panel B: Stage 2 regressions
Dependent variable:
class diff class diff married up married up low bride low bride

| Sex Ratio | $\begin{gathered} 1.056 * \\ (0.601) \end{gathered}$ | $\begin{aligned} & 2.057 * \\ & (1.068) \end{aligned}$ | $\begin{aligned} & -0.463 * * \\ & (0.217) \end{aligned}$ | $\begin{aligned} & -0.713 * \\ & (0.374) \end{aligned}$ | $\begin{aligned} & 0.878 * * * \\ & (0.258) \end{aligned}$ | $\begin{aligned} & 1.513 * * * \\ & (0.393) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Rural |  | 0.137** |  | -0.024 |  | -0.064*** |
|  |  | (0.056) |  | (0.018) |  | (0.018) |
| \% Female Managers |  | -0.025* |  | 0.006 |  | -0.013** |
|  |  | (0.015) |  | (0.006) |  | (0.006) |
| \% Female Employees |  | -0.001 |  | 0.004 |  | 0.004 |
|  |  | (0.020) |  | (0.006) |  | (0.008) |
| \% Female Self-Employed |  | 0.009 |  | -0.001 |  | 0.005 |
|  |  | (0.016) |  | (0.005) |  | (0.006) |
| \% Female Unemployed |  | 0.030 |  | -0.011** |  | 0.018*** |
|  |  | (0.019) |  | (0.005) |  | (0.007) |
| Excess Foreign Males |  | 0.024 |  | -0.016 |  | 0.002 |
|  |  | (0.048) |  | (0.015) |  | (0.016) |
| Groom's Age (/100) |  | 0.274 |  | 0.117 |  | 0.006 |
|  |  | (0.458) |  | (0.147) |  | (0.150) |
| Bride's Age (/100) |  | -0.452 |  | -0.135 |  | 0.042 |
|  |  | (0.478) |  | (0.149) |  | (0.149) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.226 | 0.230 | 0.237 | 0.238 | 0.200 | 0.206 |
| Observations | 4299 | 4252 | 4153 | 4107 | 4299 | 4252 |

Notes: These regressions use military mortality as a instrument for the sex ratio in IV regressions predicting bride class minus groom class, whether the groom married a bride of at least as high class as his own, or whether the bride was low class. Panel A presents the stage 1 regressions, in which the dependent variable is the sex ratio. The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911, and is zero for marriages that occurred before the war. Panel B presents the stage 2 regressions, in which the dependent variable is the bride's class minus the groom's class for columns one and two, an indicator variable for the groom marrying a weakly higher class bride for the third and fourth columns, and an indicator variable for the bride being of low class (class 5, 6 or 7 ) for the last two columns. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table H4: The imputation of bride class, OLS

|  | Coefficient | Std. Error |
| :---: | :---: | :---: |
| Class 1 Father | -0.815*** | 0.230 |
| Class 2 Father | -0.560*** | 0.131 |
| Class 3 Father | -0.109 | 0.119 |
| Class 4 Father | 0.192 | 0.139 |
| Class 5 Father | 0.303** | 0.125 |
| Class 6 Father | 0.488*** | 0.130 |
| Class 7 Father | 0.456 | 0.318 |
| Class 1 Mother | -0.502 | 0.347 |
| Class 2 Mother | -0.726*** | 0.177 |
| Class 3 Mother | -0.646*** | 0.149 |
| Class 4 Mother | 0.034 | 0.153 |
| Class 5 Mother | 0.238** | 0.100 |
| Class 6 Mother | 0.551*** | 0.151 |
| Class 7 Mother | -0.921 | 1.301 |
| Father has missing occupation because he's dead | 0.052 | 0.098 |
| Mother has missing occupation because she's dead | 0.032 | 0.090 |
| Father has no Occupation | -0.117 | 0.245 |
| Mother has no Occupation | -0.292*** | 0.093 |
| Rural | 0.517*** | 0.148 |
| Rural Interacted With: |  |  |
| Class 1 Father | 0.202 | 0.384 |
| Class 2 Father | -0.289 | 0.295 |
| Class 3 Father | -0.576** | 0.227 |
| Class 4 Father | -0.287 | 0.192 |
| Class 5 Father | -0.234 | 0.216 |
| Class 6 Father | 0.103 | 0.334 |
| Class 7 Father | -0.241 | 0.364 |
| Class 1 Mother | 0.234 | 0.562 |
| Class 2 Mother | 0.202 | 0.398 |
| Class 3 Mother | 0.665** | 0.329 |
| Class 4 Mother | -0.165 | 0.195 |
| Class 5 Mother | 0.141 | 0.159 |
| Class 6 Mother | 0.284 | 0.366 |
| Class 7 Mother | 1.538 | 1.317 |
| Father has missing occupation because he's dead | -0.174 | 0.164 |
| Mother has missing occupation because she's dead | 0.177 | 0.151 |
| Father has no Occupation | 1.153* | 0.691 |
| Mother has no Occupation | -0.150 | 0.182 |
| Paris | -0.382*** | 0.075 |
| Big City | -0.154 | 0.106 |
| Medium Sized City | 0.045 | 0.079 |
| Bride's Age | -0.068*** | 0.016 |
| Bride's Age Squared | 0.098*** | 0.024 |
| Linear Time Trend | -0.009** | 0.004 |
| Observations | 3312 |  |
| R-squared | 0.1707 |  |

Notes: The omitted category for parent's class is missing class for unknown reason. The omitted category for city size is small city or other area. Asterisks indicate: * $10 \%$, ** $5 \%$, ***1\%.

Table H5: Men marry up more where military mortality was higher, oLS, imputing class for brides with missing class

|  | class diff | class diff | married up | married up | low bride | low bride |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.009 * * \\ & (0.004) \end{aligned}$ | $\begin{aligned} & -0.009 * * \\ & (0.004) \end{aligned}$ | $\begin{aligned} & 0.004 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & 0.005 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & -0.008 * * * \\ & (0.002) \end{aligned}$ | $\begin{aligned} & -0.008 * * * \\ & (0.001) \end{aligned}$ |
| Rural |  | $\begin{aligned} & 0.302 * * * \\ & (0.034) \end{aligned}$ |  | $\begin{aligned} & -0.069 * * * \\ & (0.011) \end{aligned}$ |  | $\begin{aligned} & 0.061 * * * \\ & (0.017) \end{aligned}$ |
| \% Female Managers |  | $\begin{aligned} & -0.016 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{array}{r} 0.001 \\ (0.002) \end{array}$ |  | $\begin{aligned} & -0.012 * * * \\ & (0.002) \end{aligned}$ |
| \% Female Employees |  | $\begin{aligned} & -0.035 * * * \\ & (0.005) \end{aligned}$ |  | $\begin{aligned} & 0.011 * * * \\ & (0.002) \end{aligned}$ |  | $\begin{aligned} & -0.015 * * * \\ & (0.003) \end{aligned}$ |
| \% Female Self-Employed |  | $\begin{aligned} & -0.016 * * * \\ & (0.004) \end{aligned}$ |  | $\begin{array}{r} 0.002 \\ (0.002) \end{array}$ |  | $\begin{aligned} & -0.005 * * \\ & (0.002) \end{aligned}$ |
| \% Female Unemployed |  | $\begin{aligned} & 0.039 * * * \\ & (0.008) \end{aligned}$ |  | $\begin{aligned} & -0.015 * * * \\ & (0.003) \end{aligned}$ |  | $\begin{aligned} & 0.022 * * * \\ & (0.004) \end{aligned}$ |
| Excess Foreign Males |  | $\begin{gathered} 0.029 * * \\ (0.014) \end{gathered}$ |  | $\begin{aligned} & -0.040 \text { *** } \\ & (0.004) \end{aligned}$ |  | $\begin{aligned} & 0.030 \text { *** } \\ & (0.007) \end{aligned}$ |
| Groom's Age (/100) |  | 0.340 $(0.212)$ |  | 0.163 $(0.115)$ |  | $\begin{array}{r} -0.027 \\ (0.082) \end{array}$ |
| Bride's Age (/100) |  | $\begin{array}{r} -0.262 \\ (0.269) \end{array}$ |  | $\begin{array}{r} -0.159 \\ (0.116) \end{array}$ |  | $\begin{array}{r} 0.063 \\ (0.112) \end{array}$ |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.212 | 0.222 | 0.418 | 0.419 | 0.164 | 0.168 |
| Observations | 5593 | 5498 | 5408 | 5318 | 5593 | 5498 |

Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 ). Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911 , and is zero for marriages that occurred before the war. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable military mortality. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table H6: Men marry up more when the sex ratio is lower, OLS, imputing class for brides with missing class Dependent variable:

Sex Ratio
class diff class diff married up married up low bride low bride

Rural
0.513**

| $0.772 * *$ | $-0.305 * * *$ | -0.290 |
| :---: | :---: | :---: |
| $(0.380)$ | $(0.111)$ | $(0.179)$ |
| $0.305 * * *$ |  | $-0.069 * * *$ |
| $(0.038)$ |  | $(0.014)$ |

0.430 ***
$(0.123)$
0.650***
(0.038)
(0.014)
(0.191)
0.060***
\% Female Managers
. 014
(0.004)
(0.017)
-0.013
(0.011)
\% Female Employees
\% Female Self-Employed
\% Female Unemployed
Excess Foreign Males
Groom's Age (/100)
$-0.003$
(0.008)
(0.005)
$-0.001$
(0.006)
$-0.003$
(0.004) (0.005)
$0.014 \quad 0.0 .000 \quad 0.006$
$(0.010) \quad(0.004) \quad(0.005)$
0.029
(0.027)
$-0.013$
0.012
-0.013
$(0.010)$

Bride's Age (/100)
(0.268)
0.178*
(0.011)
-0.056
(0.105)
(0.121)
$-0.232$
$\begin{array}{rr}-0.161 & 0.031\end{array}$
Groom Class Dummies

|  | $(0.306)$ |  | $(0.114)$ |
| ---: | ---: | ---: | ---: |
| Yes | Yes | Yes | Yes |
| Yes | Yes | Yes | Yes |
| Yes | Yes | Yes | Yes |
|  |  |  |  |
| 0.205 | 0.218 | 0.419 | 0.423 |
| 5729 | 5682 | 5532 | 5486 |


| $(0.114)$ |  | $(0.134)$ |
| ---: | ---: | ---: |
| Yes | Yes | Yes |
| Yes | Yes | Yes |
| Yes | Yes | Yes |
| 0.423 | 0.159 | 0.164 |
| 5486 | 5729 | 5682 |

Observations
Notes: The dependent variable for the first two columns is the class of the bride minus the class of the groom, where a higher value for class corresponds to a lower class. The dependent variable for the third and fourth columns is a dummy variable that takes the value one if the bride was at least as high class as the groom. The dependent variable for the last two columns is a dummy variable that takes the value one if the bride was of low class (class 5 , 6 or 7 ). The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Table H7: Men marry up more when the sex ratio is lower, IV, imputing class for brides with missing class
Panel A: Stage 1 regressions with sex ratio as the dependent variable

|  | (1) | ( 2 ) | (3) | (4) | (5) | ( 6 ) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Military Mortality | $\begin{aligned} & -0.009 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ | $\begin{aligned} & -0.009 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.009 * * * \\ & (0.001) \end{aligned}$ | $\begin{aligned} & -0.007 * * * \\ & (0.000) \end{aligned}$ |
| Rural |  | 0.000 |  | 0.000 |  | 0.000 |
|  |  | (0.001) |  | (0.001) |  | (0.001) |
| \% Female Managers |  | 0.005*** |  | 0.005*** |  | 0.005*** |
|  |  | (0.001) |  | (0.001) |  | (0.001) |
| \% Female Employees |  | -0.004** |  | -0.004** |  | -0.004** |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Female Self-Employed |  | -0.002 |  | -0.002 |  | -0.002 |
|  |  | (0.002) |  | (0.002) |  | (0.002) |
| \% Female Unemployed |  | -0.003*** |  | -0.003*** |  | -0.003*** |
|  |  | (0.001) |  | (0.001) |  | (0.001) |
| Excess Foreign Males |  | 0.020*** |  | 0.019*** |  | 0.020*** |
|  |  | (0.004) |  | (0.004) |  | (0.004) |
| Groom's Age (/100) |  | 0.003 |  | 0.002 |  | 0.003 |
|  |  | (0.004) |  | (0.004) |  | (0.004) |
| Bride's Age (/100) |  | -0.008** |  | -0.008* |  | -0.008** |
|  |  | (0.004) |  | (0.004) |  | (0.004) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.883 | 0.936 | 0.881 | 0.935 | 0.883 | 0.936 |
| Observations | 5515 | 5468 | 5334 | 5288 | 5515 | 5468 |

Notes: Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.

Panel B: Stage 2 regressions
Dependent variable:

| Sex Ratio | $\begin{aligned} & 1.018 * * \\ & (0.420) \end{aligned}$ | $\begin{aligned} & 1.690 * * \\ & (0.709) \end{aligned}$ | $\begin{aligned} & -0.465 * * * \\ & (0.176) \end{aligned}$ | $\begin{aligned} & -0.572 * * \\ & (0.292) \end{aligned}$ | $\begin{aligned} & 0.852 * * * \\ & (0.205) \end{aligned}$ | $\begin{aligned} & 1.313 * * * \\ & (0.339) \end{aligned}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Rural |  | 0.304 *** |  | -0.069*** |  | 0.062*** |
|  |  | (0.039) |  | (0.014) |  | (0.018) |
| \% Female Managers |  | -0.021** |  | 0.004 |  | -0.014*** |
|  |  | (0.009) |  | (0.004) |  | (0.005) |
| \% Female Employees |  | -0.009 |  | 0.000 |  | 0.002 |
|  |  | (0.012) |  | (0.005) |  | (0.006) |
| \% Female Self-Employed |  | -0.002 |  | -0.002 |  | 0.001 |
|  |  | (0.010) |  | (0.004) |  | (0.005) |
| \% Female Unemployed |  | 0.019* |  | -0.004 |  | 0.010* |
|  |  | (0.011) |  | (0.004) |  | (0.005) |
| Excess Foreign Males |  | -0.002 |  | -0.008 |  | -0.009 |
|  |  | (0.030) |  | (0.011) |  | (0.011) |
| Groom's Age (/100) |  | 0.310 |  | 0.162 |  | -0.030 |
|  |  | (0.271) |  | (0.107) |  | (0.122) |
| Bride's Age (/100) |  | -0.235 |  | -0.167 |  | 0.070 |
|  |  | (0.310) |  | (0.114) |  | (0.137) |
| Groom Class Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Departement Dummies | Yes | Yes | Yes | Yes | Yes | Yes |
| Linear Time Trend | Yes | Yes | Yes | Yes | Yes | Yes |
| R-Squared | 0.209 | 0.222 | 0.415 | 0.418 | 0.161 | 0.166 |
| Observations | 5515 | 5468 | 5334 | 5288 | 5515 | 5468 |

Notes: These regressions use military mortality as a instrument for the sex ratio in IV regressions predicting bride class minus groom class, whether the groom married a bride of at least as high class as his own, or whether the bride was low class. Panel A presents the stage 1 regressions, in which the dependent variable is the sex ratio. The sex ratio is defined as the number of men aged 18 to 59 divided by the number of women aged 15 to 49 . Military mortality is the mortality rate of soldiers as a percentage of the male population aged 18 to 59 in 1911, and is zero for marriages that occurred before the war. Panel B presents the stage 2 regressions, in which the dependent variable is the bride's class minus the groom's class for columns one and two, an indicator variable for the groom marrying a weakly higher class bride for the third and fourth columns, and an indicator variable for the bride being of low class (class 5, 6 or 7 ) for the last two columns. The omitted category for female occupations is workers. Excess foreign males is defined as the percentage of males who are foreign minus the percentage of females who are foreign. Standard errors, given in parentheses, are clustered at the level of variation in the variable sex ratio. Asterisks indicate: * $\mathrm{p}<0.10$, ** $\mathrm{p}<0.05$, *** $\mathrm{p}<0.01$.


[^0]:    *We thank Pedro P. Barros, Effi Benmelech, Marianne Bertrand, Nick Bloom, Leah Boustan, Tim Bresnahan, Raj Chetty, Dora Costa, Giacomo De Giorgi, Liran Einav, Marcel Fafchamps, Amy Finkelstein, Iliyan Georgiev, Avner Greif, Tim Guinnane, Christina Gathmann, Caroline Hoxby, Murat Iyigun, Seema Jayachandran, Naomi Lamoreaux, Michael Lovenheim, Victor Lavy, Soo Lee, Pierre-Carl Michaud, José Mata, Joel Mokyr, Muriel Niederle, Ben Olken, John Pencavel, Luigi Pistaferri, Gilles Postel-Vinay, Jean-Laurent Rosenthal, Emmanuel Saez, Izi Sin, Neeraj Sood, Nathan Sussman, Michele Tertilt, Gui Woolston, Yoram Weiss, Gavin Wright, and participants in numerous seminars and conferences for helpful discussions and comments. We thank Jean-Pierre Pélissier for kindly providing us with the marriage-level data from the TRA data set. We are grateful to Izi Sin for superb research assistance.

[^1]:    ${ }^{1}$ See Pencavel (1998) and Rose (2001) for trends in assortative matching in the U.S.
    ${ }^{2}$ Aristotle noted that people "love those who are like themselves" (Aristotle 1934, p. 1371). Sociologists believe that "the homophily principle structures network ties of every type, including marriage, friendship, work, advice, support, information transfer, exchange, comembership, and other types of relationship" (McPherson, Smith-Lovin, and Cook 2001).
    ${ }^{3}$ See, for example, Burdett and Coles (1997).

[^2]:    ${ }^{4}$ Since this war was fought in the battlefield, civilian mortality (which is more balanced across genders) was lower than in later major wars such as the Second World War.
    ${ }^{5}$ Departments are administrative units similar to counties. In 1870-1914, France had 87 départements. After WWI, the number increased to 90 because territories from Alsace-Lorraine lost in the 1870s were recovered.

[^3]:    ${ }^{6}$ For a review of the economics of marriages, see Weiss (1993).

[^4]:    ${ }^{7}$ Brainerd (2007) is a related study written in parallel to ours examining the impact of the unbalanced sex ratio on marriage rates and fertility in post WWII Russia.

[^5]:    ${ }^{8}$ About 7.8 million men were drafted and 0.2 million enrolled voluntarily. In addition, 0.5 million foreigners and men from the French colonies joined the French army. Note that all the numbers presented in this subsection are taken from Huber (1931) unless otherwise noted.
    ${ }^{9}$ Mortality data on soldiers' occupations when drafted are not available. Data on occupation at age 20 were recorded during each individual's military service.
    ${ }^{10}$ Anecdotal evidence also stresses that many elites and white collar workers perished during the conflict. 450 writers from the "Societe des gens de letters", a writers' organization, 833 former students of the Ecole Polytechnique and 230 from the Ecole Normale, both of which were prestigious universities, were killed during the conflict.

[^6]:    ${ }^{11}$ About 130,000 Frenchmen died from the Spanish flu (Becker, 1999).
    ${ }^{12}$ The death rate for the war refers to the years 1915-1918.
    ${ }^{13}$ Only oriental Europe and the Balkans experienced higher rates (Dupaquier, 1988).

[^7]:    ${ }^{14} 15$ and 18 years old are the legal ages for getting married for women and men respectively.
    ${ }^{15}$ Authors' calculation from French census data.
    ${ }^{16}$ Table 2.2 presents the results of regressions of the percentage of single women on mortality (or sex ratio) using census data (see Section 4) and shows that more women remained single in departments with higher mortality rates. We classify as single all women who have never been married, are widowed, or are divorced.

[^8]:    ${ }^{17}$ In the $19^{\text {th }}$ century, marriage was an opportunity for farmers to maintain or increase the land owned by the family, and therefore had to be approved by the parents. Among rural craftsmen, assortative matching by occupation was frequent because husbands and wives had complementary skills for family production. Urban workers were financially independent from their parents, which allowed them not only to marry younger, but also without their parents' intervention. Among the urban "bourgeois," marriage was a way to potentially move up in society, and was therefore controlled by the parents. Compared with other social classes, their marriages were more likely to be arranged by relatives (Segalen, 1981).
    ${ }^{18}$ In addition, $68 \%$ of the interviewed people report that it is better for spouses to be from the same social background. When asked which advice they would give to their children, $44 \%$ would advise them to choose a spouse from the same "milieu" while $8 \%$ who would advise them to take into account feelings.

[^9]:    ${ }^{19}$ Iyigun and Walsh (2007) provide a model in which asymmetries in the sex ratios in the marriage markets produce gender differences in premarital investments and consumption.

[^10]:    ${ }^{20}$ For a formal analysis of the impact of a change in the number of men on men's classes see Bloch and Ryder (2000).

[^11]:    ${ }^{21}$ A separate project, the "TRA patrimoine" has also been undertaken to collect data on the bequests left by the TRA families (see for example Bourdieu et al., 2004). However, we do not have access to those data.

[^12]:    ${ }^{22}$ Nobles may sometimes be classified under the letter D (because they are called "de Tra" rather than "Tra"). Some nobles might thus have escaped the original design. In addition, while the proportion of farmers is correct when considering the period over which the overall TRA data set was collected (i.e. 1803-1986), farmers seem to be over-represented in the resulting sample for the period 1970-1986. This may raise some selectivity issues. To deal with this, the descendants of 3,000 additional "TRA" couples who married between 1803 and 1832 have been followed. The sample we use is based on the data set constructed with all of the 6,000 TRA families (source: email conversation with Jean-Pierre Pélissier).
    ${ }^{23}$ As we noted, women's occupations remained similar pre and post war. While women replaced men in the war industry during the war period, they were sent back home or to their previous occupations right after the war (Becker, 1999). Yet, female labor force increased during the late 1920s and 1930s to compensate for the loss of men. As a robustness check, we therefore replicate our estimations using a shorter post-war period (from 1918-1923) in which women labor force participation was very similar to that of the pre-war period (see Appendix A). We find similar results with the two different cuts of the data. In addition, the war ended in November 1918 but in our data there are 220 marriages in that year, which are expected to be affected by the unbalanced sex ratio. The results are unchanged when we exclude marriages that took place in 1918.
    ${ }^{24}$ Occupations are missing for about $5 \%$ of the grooms and $12 \%$ of the brides, and for over $40 \%$ of their parents.

[^13]:    ${ }^{25}$ Ideally, we would restrict attention to the occupations of men who are old enough to be fathers of daughters of marriageable age, but such information is not available.
    ${ }^{26}$ We construct these indictors for the years 1906, 1921 and 1926 because comparable occupations are not available in the 1911 census.
    ${ }^{27}$ From 1918 to 1930, many people immigrated to France to work in agriculture, construction and public works. The latter employed one third of all foreigners from 1921 to 1925 (Faron and George, 1999).
    ${ }^{28}$ We present the average over 87 départements for 1906 and 90 départements for 1921 since France's territories increased after the war.
    ${ }^{29}$ Data and documentation are available at http://www.memoiredeshommes.sga.defense.gouv.fr/.
    ${ }^{30}$ This number excludes military deaths of soldiers born in the three départements acquired at the end of WWI (Moselle, Bas-Rhin and Haut-Rhin) because the French records for these départements are incomplete.

[^14]:    ${ }^{31}$ During WWI, continental France was separated into 22 military regions (Boulanger, 2001).
    ${ }^{32}$ For example, soldiers from Bretagne were sent to the Parisian region, while soldiers from the Parisian region went further east.
    ${ }^{33}$ According to Boulanger (2001), in some parts of France, conscription was an important step in a man's life. Entry to the army was usually celebrated with folkloric parties. In those places, being classified as unfit for service was shameful.

[^15]:    ${ }^{34}$ When the independent variable of interest is the sex ratio or the sex ratio instrumented with mortality, errors are clustered at the département-census year level. When it is military mortality, the pre war observations are clustered together, and the post war observations are clustered at the département level.

[^16]:    ${ }^{35}$ Note that when we use the difference between the class of the bride and the class of the groom or a dummy for whether the groom married a low class bride as dependent variables, we expect $\eta<0$ to capture that good health improves the groom's position in the marriage market. In the regressions with those dependent variables, we therefore expect a

[^17]:    ${ }^{36}$ We also include the three departements from Alsace-Lorraine for which mortality rates are known to be very high but on which we do not have exact mortality data.
    ${ }^{37}$ We also test this hypothesis using Kolmogorov-Smirnov (KS) tests. The KS tests reject the null for class 4 grooms only, probably because of small sample sizes which are: class $1: 26$; class 2 : 156 ; class 3 : 233 ; class 4 : 493; class 5 : 174; class 6 : 74; class 7: 58.

[^18]:    ${ }^{38}$ As mentioned earlier, the mortality variable is defined as zero for pre-WWI marriages and military mortalities as a percentage of the pre-war male population for post-WWI marriages.
    ${ }^{39}$ Recall that class 1 women are the highest class.
    ${ }^{40}$ Our results are robust to the use of a probit model rather than OLS for the binary dependent variables. See Appendix D.

[^19]:    ${ }^{41} \mathrm{We}$ also experimented with including the percentages of foreign females and foreign males separately. In most cases the coefficients on these two variables were of opposite sign, and comparable magnitude.
    ${ }^{42}$ Note that the omitted category of female occupations is workers.
    ${ }^{43}$ In other regressions, we also add an indicator for whether the groom or the bride is re-marrying. The coefficients associated with those indicators are not statistically significant, and they do not change the magnitude of the coefficient associated with mortality (tables not shown).

[^20]:    ${ }^{44}$ Military mortality totaled $1,227,796$ men, so the sum of mortality plus injured is $2,147,796$. Treating all these men as military deaths implies we should scale our coefficients by $(1,227,796 / 2,147,796)$, which is equal to 0.57 . Hence the coefficients would decrease in magnitude by $43 \%$.
    ${ }^{45}$ The F-statistics for the identifying instruments as a group are all 100 or higher.

[^21]:    ${ }^{46}$ This proportion is lower than the proportion of overall women out of the labor force: $61 \%$ in the 1906 census, and $57.4 \%$ in the 1921 census (see Table 1.1). This difference probably reflects a tendency of women to drop out of the labor force upon marriage or giving birth. Also, unemployed women may consider themselves as "without occupation." Table 4.2 shows that a very small proportion of women in the labor force are categorized as unemployed.

[^22]:    ${ }^{47}$ An alternative explanation is that women without occupations are simply younger women who are not yet employed. However, this does not seem to be the case since the mean and median age of brides with and without occupations before the war are very similar. The pre-war mean age of brides without occupations is 24.6 compared with 24.9 for brides with occupations. We cannot reject that the average prewar age of brides of class 1 to 7 is different to the average age of brides without occupation at any reasonable significance level. Moreover, the $25^{\text {th }}$ percentile, median and $75^{\text {th }}$ percentile of the distribution of age are 20,23 and 27 in both groups.
    ${ }^{48}$ More precisely, a set of dummy variables, one for each identified class, that are also zero if the parent's class is unknown, an indicator variable that takes the value 1 if the parent's class is missing because he or she is dead, and an indicator variable for the parent's class being missing because he or she has no occupation. The omitted category is the parent has no class for an unknown reason.

[^23]:    ${ }^{49}$ Because bride classes are imputed as predicted class from an OLS regression, they are generally not whole numbers. In the regression predicting class difference, bride classes are not rounded. However, in creating the variables married up and low class bride, we first round predicted class to the nearest whole number. Thus, for example, a class 3 groom marrying a bride with imputed class 3.4 will be taken to be marrying a weakly higher class bride.
    ${ }^{50}$ The correlation between the classes of grooms and the classes of their fathers is 0.46 . The correlation between the classes of brides and the classes of their fathers is 0.33 .

[^24]:    ${ }^{1}$ Data and documentation are available at http://www.memoiredeshommes.sga.defense.gouv.fr/.

[^25]:    ${ }^{1}$ In France, the ratio of men aged 18 to 59 to women aged 15 to 49 decreased from 1,087 men per 1,000 women in 1911 to 992 men per 1,000 women in 1921 (Huber, 1921), which, holding the number of women constant, implies a reduction of $8.74 \%$ of the men in age of getting married.

