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DFIG-Based Wind Turbine Fault Diagnosis Using a Specific Discrete Wavelet Transform

E. Al-Ahmar\textsuperscript{1,2}, M.E.H. Benbouzid\textsuperscript{1}, Y. Amirat\textsuperscript{1,3} and S.E. Ben Elghali\textsuperscript{1}
\textsuperscript{1}Laboratoire Brestois de Mécanique et des Systèmes (LBMS – EA 4325), University of Brest
IUT of Brest – Rue de Kergoat – CS 93837, 29238 Brest Cedex 03, France
E-mail: m.benbouzid@ieee.org
\textsuperscript{2}Faculty of Sciences and Computer Engineering, Holy Spirit University of Kaslik, BP 446, Jounieh, Lebanon
\textsuperscript{3}Electrical Engineering Department, University of Annaba, 23000 Annaba, Algeria.

Abstract—This paper deals with the investigation of a specific transient technique suitable for electrical and mechanical fault diagnosis in a DFIG-based wind turbine. The investigated technique is a combination of the Discrete Wavelet Transform, statistics and the energy. Experimental investigations carried out on a 1.1-kW induction generator based test bench show that the proposed technique can unambiguously diagnose faults under transient conditions.

Index Terms—Wind turbine, Doubly-Fed Induction Generator (DFIG), Discrete Wavelet Transform (DWT), fault diagnosis.

I. INTRODUCTION

Wind energy conversion is the fastest-growing source of new electric generation in the world and it is expected to remain so for some time (Fig. 1). During the last two decades wind turbines have been developed in size from 20 kW to 2 MW, while even larger wind turbines already are being designed [1]. Due to the fact that wind generators are also inaccessible, since they are situated on extremely high towers over 20 m in height or in the sea (Fig. 2), there is a constant need for the reduction of operational and maintenance costs of wind generators which eliminates some of the difficulties due to accessibility problems and allows for early detection of mechanical and electrical faults preventing major component failures, facilitating a proactive response, minimizing downtime and maximizing productivity [2-5]. The most efficient way of reducing these costs would be to continuously monitor the condition of these generators. Figures 3 and 4 show respectively one of the most used wind turbine configuration (DFIG) and its main components [6-7].

Fig. 2. Currently largest onshore wind turbine and offshore installations.

Fig. 3. Most used wind turbine configuration (with DFIG arrangement).

Fig. 1. Worldwide growth of wind energy installed capacity [1].
Many techniques and tools are available and used to monitor
the condition of induction machines. The most popular methods
utilize the steady-state spectral components of the stator
quantities [8-9]. These stator spectral components include
voltage, current and power and are used to detect turn faults,
broken rotor bars, bearing failures, air gap eccentricities [9-10].
However, the operation of wind generators is predominantly
transient, therefore prompting the development of non-stationary
techniques for fault detection such as DWT [11].

The objective of this paper is to develop and test a
detection method for condition monitoring, suitably adapted
for implementation in wind generator systems based on the
DWT, the variance and the energy to detect failures under
transient conditions. It is well-known that many electrical and
mechanical faults in induction motors have a direct impact on
the motor magnetic field. Indeed, they modulate it [12].
Moreover, it has been proven that failures in a mechanical
drive train connected to an induction machine can be detected
at the terminal of the machine [13-16]. In the case of wind
turbine condition monitoring, a number of published work are
based on the following hypothesis: It is possible to detect wind
turbine drive train faults through the terminals of the
associated generator [6], [17].

II. THEORETICAL BACKGROUND AND WAVELET ANALYSIS

One of the most important factors enabling a reduction of
operational and maintenance costs of wind turbine, helping to
avoid undesirable operating conditions and detecting component
failures, is to provide wind generators with advanced condition
monitoring and diagnosis system during operation (Fig. 5) [6].
[17-18]. Autonomous online condition monitoring systems with
integrated fault detection algorithms allow early warnings of
mechanical and electrical faults to prevent major component
failures. Side effect on other components can be reduced
significantly. Many faults can be detected while the defective
component is still operational. Therefore and due to the
importance of condition monitoring and fault diagnosis in wind
turbines (blades, drive trains, and generators); this section is
intended to be as a tutorial overview describing different type of
faults, their generated signatures, and their diagnostic schemes.
It should be noted that the presented study is focused on DFIGs
as they are the most used in wind turbines [17-18].
stationary analysis. However, some of the faults are characterized by non-stationary behaviors.

Current studies are more particularly related to methods adapted for non-stationary signals, such as time-frequency analysis and the wavelet decomposition [27-30].

Table 1 is given to illustrate faults effects (spectral fault signatures) on the stator current where $f_s$ is the supply frequency, $m = 1, 2, 3...$, $s$ is the slip, $p$ is the number of pole pairs, $k = 1, 3, 5...$, $f_r$ is the rotor frequency, $n_b$ is the bearing balls number, $f_{i,o}$ is the inner and the outer frequencies depending on the bearing characteristics.

C. Wavelet Analysis

During many years Fourier transform has been used for signal processing, since it is suitable for the study of a wide range of signals. Nevertheless, one of the shortcomings of the Fourier transform is that it does not give any information on the time at which a frequency component occurs [8]. Therefore, the approach of Short Time Fourier Transform (STFT) is used to give information on the time resolution of the signal spectrum [31]. Here a moving window is applied to the signal and the Fourier transform is applied within the window as the window is moved. As a disadvantage, several window lengths must be analyzed to determine the most appropriate choice. For analysis where a predetermined scaling may not be appropriate because of a wide range of dominant frequencies, a time–frequency localization method that is scale independent, such as wavelet analysis, should be employed. Thus, the Wavelet transform provides a time-frequency representation of the signal. It was developed to overcome the shortcomings of the STFT, which can also be used to analyze non-stationary signals [32]. While STFT gives a constant resolution at all frequencies, the Continuous Wavelet Transform (CWT) uses multi-resolution technique by which different frequencies are analyzed with different resolutions: at high frequencies, the CWT gives good time resolution and poor frequency resolution, while at low frequencies it provides good frequency resolution and poor time resolution [33]. The DWT, which is based on sub-band coding, is found to yield a fast computation of the CWT. It is easy to implement and reduces the computation time and the required resources.

<table>
<thead>
<tr>
<th>Fault</th>
<th>Harmonic component</th>
</tr>
</thead>
<tbody>
<tr>
<td>Broken rotor bars or cracked rotor end rings</td>
<td>$f_{nobar} = f_s \left\lbrack k \left(\frac{1-s}{p}\right) \pm s \right\rbrack$</td>
</tr>
<tr>
<td>Eccentricity (static, dynamic, mixed)</td>
<td>$f_{dc} = f_s \left\lbrack \pm m \left(\frac{1-s}{p}\right) \right\rbrack$</td>
</tr>
<tr>
<td>Bearing</td>
<td>$f_{brg} = f_s \pm k_{i,o}$</td>
</tr>
<tr>
<td>Misalignment</td>
<td>$f_{mis} = f_s \pm kf_r$</td>
</tr>
</tbody>
</table>

A signal $s(t)$ can be approximated using the DWT by [34]

$$s(t) = \sum_{i} \alpha_i^n \phi_i^n (t) + \sum_{j=1}^{n} \sum_{i} \beta_i^j \psi_i^j (t) = a_n + d_n + ... + d_1$$ (1)

Where $\alpha_i^n$, $\beta_i^j$ are respectively, the scaling and the wavelet coefficients, $\phi(t)$, $\psi(t)$ are respectively the scaling function at level $n$ and the wavelet function at level $j$, $n$ is the decomposition level, $a_n$ is the approximation signal at level $n$ and $d_j$ is the detail signal at level $j$ [35-38].

The DWT is computed by successive low-pass and high-pass filtering of the discrete time-domain signal. This is called the Mallat algorithm or sub-band coding algorithm. Its significance is in the manner it connects the continuous-time multi-resolution to discrete-time filters. Figure 6 shows the sub-band coding algorithm regarding the coefficients of the transform at the different levels according to Polikar description [39]. The original signal is denoted by the sequence $s[n]$, with $n = 512$ samples and a sampling rate of $f$ samples/sec. The low-pass filter is denoted by LPF while the high-pass filter is denoted by HPF. At each level, the high-pass filter produces the detail information $d_j$, while the low-pass filter associated with scaling function produces coarse approximations $a_n$.

![Fig. 6. The sub-band coding algorithm.](image)
At each decomposition level, the half band filters produce signals spanning only half the frequency band. This doubles the frequency resolution as the uncertainty in frequency is reduced by half. In accordance with Nyquist rule, a down-sampling by two for successive levels, halves the samples number of the previous level, with no information losses. This decimation by 2 halves the time resolution as the entire signal is now represented by only half of the samples number. Thus, while the half band low-pass filtering removes half of the frequencies and thus halves the resolution, the decimation by 2 doubles the scale. With this approach, the time resolution becomes arbitrarily good at high frequencies, while the frequency resolution becomes arbitrarily good at low frequencies.

If \( f_s \) (samples/sec) is the sampling rate used for capturing \( s(t) \), the detail \( d_j \) contains the information concerning the signal components whose frequencies are included in the interval \( [2^{-j}f_s, 2^{-(j-1)}f_s] \). The approximation signal \( a_n \) includes the low frequency components of the signal, belonging to the interval \( [0, 2^{-(n-1)}f_s] \). This filtering process performed in the DWT is shown in Fig. 7 [37]. It can be noticed that a certain overlap between bands due to the non-ideal wavelet filter characteristics, leading then to the aliasing problem: the Nyquist criteria is violated and frequency components above or below the cut-off frequency of the filter are aliased into the wrong sub-band [40]. This phenomenon causes what is known as shift-variance [41].

It should be noted that the above described DWT decomposition is proposed to be applied for transient current leading to a set of approximations and details signals. The analysis of these signals can allow the detection of some patterns caused by different type of failures.

III. EXPERIMENTAL TESTS

The aim of the present section is to apply and test a noninvasive monitoring technique, implemented under Matlab\textsuperscript{\textregistered}, for the detection of failures in wind turbine induction generators, and to elaborate a comparative study among three types of wavelets to identify the characteristic pattern and the suitability of each one regarding different types of failures.

A. Description of the Experimental System

The experimental tests were carried out on an experimental setup located at the “CETIM” (Centre Technique des Industries Mécaniques, Senlis, France). The setup, which is depicted by Fig.8, consists in a 1.1-kW / 400-V / 50-Hz two pole pair induction generator. It spins a crane by the intermediate of a gearbox with a ratio of 77 and is loaded by a DC motor. A thread rolled up on the drum pulls the load in rotation following two modes: rising and descent modes. For measurement purposes, the setup is equipped with the following sensors: three current sensors (supply currents), two speed sensors (drum and shaft speeds), two torque sensors (torque instantaneous value and lifting torque). Moreover, multiple vibration sensors are installed on the generator as shown in Fig. 8.

The experimental setup is able to handle several types of mechanical failures. In the proposed study, the carried out failure is a one very specific to a wind turbine operation. It consists in the load collision with 50% severity of the nominal load that emulates the increase of the wind speed for a wind turbine. For this emulation, tests are realized with several loads and speeds. The load collision phenomenon is initiated after approximately 8-sec of normal operation. The phenomenon remains for a duration of 20-sec then the induction generator returns to its normal operation mode. It should be mentioned that the signal sampling frequency is 25 kHz.

B. Experimental Results Analysis

First, load collision phenomenon signatures are extracted from the supply currents. Figure 9 presents the time representation between 0 and 40-sec for a nominal operation mode (Fig. 9a) and a signal containing a load collision which is in our case 50% load collision of the nominal load (Fig. 9b).
In this case, one should notice the influence of the load abrupt increase on the stator current. During the appearance of the fault, the current experiences an oscillatory period then it stabilizes with increased current amplitude. From Fig. 9b, it is also deduced that after the collision phenomenon, the stator current amplitude returns to its normal level after a transitory period.

Since previous detection methodologies have weakness during system transients, DWT analysis is therefore proposed to produce a similar analogy to that of the steady-state case. The used methodology starts with an eight levels DWT decomposition of non-stationary signals into both detail and approximate coefficients at different scales using Haar (db1), Daubechies of order 5 (db5) and dmeyer (dmey) as mother wavelets [34]. The time representation of the eight detail and approximation decomposition levels for healthy current signal and with 50% load collision defect, show clearly that the fault signature can be extracted from the generated eight detail and approximate (d8) and (a8) signals. It is also noticed a clear fault detection at $t = 8$-sec as shown in Fig. 10.

As a second step and in order to make a comparison and to investigate which wavelet form is the most reliable in detecting load collision faults, it has been defined several classification or detection criterions that denote the increase in amplitude of several parameters according to their values in nominal induction generator operation mode. Indeed, it has been investigated the variance and the energy values detection criterion that respectively denotes the stator current variance and energy values increase in amplitude when load collisions occur. These investigations are carried out to determine the most reliable wavelets for the detection of faults in wind turbines (load collision in our case).

IV. Conclusions

This paper dealt with condition monitoring and failures diagnosis in a DFIG-based wind turbine. It has been proposed a combination of the Discrete Wavelet transform, statistics, and the energy. The carried out experiments on a 1.1-kW induction generator based test bench have proved that a technique based on variance and energy analysis of wavelet decomposition stator current signals is very useful for condition monitoring and failure diagnosis in wind generators.
Fig. 13. Wavelets comparison for the detection and the diagnosis of a 50 % load collision phenomenon.

REFERENCES