# An Analysis of <br> Short Haul Airline Operating Costs 

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## PREFACE

This report represents a part of the documentation of studies on the demand and supply characteristics of short haul air transportation systems. The studies, supported by the Ames Research Center of the National Aeronautics and Space Administration were conducted at the Institute of Transportation and Traffic Engineering of the University of California, Berkeley. This report is concerned with the analysis of short haul air transportation system operating costs, and is intended as a step towards developing working supply models of short haul air transportation systems. Other steps in that direction would include detailed analysis of the development of air fares, a subject that is treated only briefly in this report; and analyses of short haul airport systers, and their costs, a subject which is not within the scope of this report. The analysis in this study includes total airline operating costs and an investigation of the specific components of direct, indirect and ground handling costs.

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## NOTATIONS

The following notations are used in this report:

| ATM | available ton-miles |
| :---: | :---: |
| ASM | available seat-miles |
| ASD | available seat-departures |
| DOC | direct operating costs |
| IOC | indirect operating costs |
| RPM | revenue passenger-miles |
| RTM | revenue ton-miles |
| R | total airline revenue |
| $C_{0}, C_{1}, \ldots ; a_{0}, a_{1} \ldots$ | parameters |
| SC | station costs |
| T | total trip time |
| To | constant term for fixed component of trip time |
| TOC | total operating cost |
| d | trip distance |
| e | elasticity |
| $E^{u}$ | sum of squares of residuals from a regression |
| F | variance ratio for testing the significance of a regression |
| $\mathrm{R}^{2}$ | coefficient of multiple determination |
| t | statistic for testing the significance of a parameter |

## 1. INTRODUCTION

The cost characteristics of short haul airline operations are irportant determinants of the nature of the transportation service offered, and consequently of the evolution of the short haul air transport system. The analysis of these cost characteristics is essential for the understanding of the development of short haul air transport networks, and for the assessment of the feasible transport service characteristics that can be expected on them. The purpose of the report is to document an analysis of short haul airline operating costs that was conducted with a view towards contributing to the understanding of the fundamental characteristics of short haul air transportation systems.

Of particular interest in the study of operating costs, is to look at the scale economy characteristics of short haul operations. In other words, it is interesting to see whether average operating costs vary significantly with the output level. If economies of scale exist, that is if average operating costs decline with the level of output, then the tendency for concentration in the air transportation system becomes justified on the basis of cost savings. Clearly, this has important implications on the evolution of the transportation system. Earlier studies of air transport operating costs tend to conclude that no such economies exist to any significant extent. Most of these studies, however, are concerned with all types of air transport systems, and are not particular to short haul transportation. For this reason, the present study was undertaken in order to investigate the cost characteristics particular to short haul air transportation.

## APPROACH

The first part of this study is concerned with total airline operating costs and their relation to appropriate measures of output. A comparison is made here between trunk airline operations and short haul airline operations. In this part scale economy characteristics are discussed, and their implicaticns on network shape are touched on. In order to study the effect of cost characteristics on the evolution of air transport networks further, the next part deals
with the cost of ground handling operations. In this part airport costs are analyzed in detail. The third part of the study deals with an analysis of direct operating costs with an attempt to construct a mocel for these costs suitable for short haul operations. This is followed by a similar detailed analysis of indirect operating costs, also with an attempt at constructing appropriate cost functions for them. Finally, an analysis, if made, of the impact of the resulting cost functions on the development of fares for shor ${ }^{\ddagger}$ hauls air transportation. Based on this analysis theoretical fare distance relationships are developed, and compared with similar relationships derived from actual fare structures in the California short haul air transport corridor.

## 2. TOTAL OPERATING COSTS

ECONOMIES OF SCALE
The discussion of economies of scale at the outset of the analysis of operating costs is necessary for the simple reason that their characteristics will aid in the selection of the appropriate form of the cost functions to be used. For example, if no scale economies exist, then a linear cost function is appropriate, but if they do then a 1 oarithmic function may be more appropriate.

Simply stated, economies of scale exist when the average cost of operations becomes smaller as the level of operations rises. For example, if the output is measured in available ton-miles, ATM, then economies of scale will imply that an airline with more ATM than another will incur lower operating costs per ATM. Two sources may bring about this characteristic. The first, is the size of the airline as a whole as measured by available ton-miles, seat-miles, revenue passenger-miles, etc. The second is the cost characteristics of ground handling at airports, and depends on whether the unit cost for this activity decreases as the airline volume at a particular airport increases. This chapter will address the first sources. The nature of ground handling costs is discussed in the following chapter.

With respect to airline size, economies of scale can be attributed to any of several factors, of which a few important ones are mentioned here. The first is the presence of a large fixed cost component. If airline operations require a large fixed cost, then there will be a tendency for average costs to decline as the output levels increases, due to the fact that the fixed component becomes divided by a larger number of units of output. This factor is critical only at lower output levels, because the fixed cost component will diminish in importance at much larger output levels. Figure 2.1 shows this characteristic by showing how the average cost declines at low output levels and soon stabilizes to a constant when the effect of fixed costs diminishes.

Another factor that contributes to the existence of scale economies is the nature of the so-called production function, which shows the relationshifs between output and input levels. If the tecinnological nature of the process is such that lesser quantities of inpu are required to achieve higher levels of
output, then an increasing return to scale is sald to exist. When this is the case, and if the unit prices of the inputs are unchanged, then it can be seen that the average costs will decline as output levels increase. Whether this characteristic exists in short haul airline operatiois is not obvious, and cannot be ascertained by looking directly at the cost chalacter. istics, but require the analysis of the technological aspects of airlin. operations.

The other factors contributing to the existence of economy of scale as. the so-called indivisibilities. For instance, an airline cannot rent only half a terminal and cannot purchase half an aircraft. This means that some inputs are not available in small units. Recause of indivisibilities of this sort, increasing returns to scale may occur. Furthermore, when the scale of the firm increases, it may be able to use tcchnjques that could not be used at the smaller scale. It may tend to improve the managerial and administrative efficiencies. It can also spend funds on research to find better techniques of operation, and can spend money on automating the facilities which reduce the costs.

The most direct method of searching for economies of scale is to inspect the average cost levels of firms in various size classes. The earliest investigations in this area were performed by John B. Carne (1) and Harold D. Koontz (2, 3). Crane, working with data for fiscal 1940 and 1941, found that the second largest four carriers in the trunkline industry had average operating costs per seat-mıle slightly lower than the largest four carriers, while the smallest seven had appreciably higher costs. The same pattern appeared in operating costs per airplane-mile flown, when adjustments were made for the differences in the types of aircraft operated by differeit carriers. Crane concluded that diseconomies $r$ : scale affected only very small carriers, since the medium-sized four had average assets of less than one-fifth of those of the larges ${ }^{\dagger}$ four and yet performed at least as well. Koontz's more thorough examination of 1949 data yielded about the same conclusions. He found the relation between cost and size inconclusive except for the smallest four to six carriers. As in the pre-World War II period, costs per availabl; ton-mile showed no differences among the larger carriers that were systematically related to size. The average operating expenses of the ninth-largest carrier, the lowest in the industry, were only

79 percent of those of the third-largest carrier, the highest among the larger carriers. Koontz also examined expenses in particular categcries to isolate those cost elements which account for the limited economies of scale that exist. These appear in ground operation expenses and in general and administrative expenses. Koontz argued, ru: sermore, on the basis of direct experience in the industry that the apparently random relation of costs to scale was not the result of accounting differences, but rather that carriers, large and small, reporting low costs achieved it by good management and efficient facilities. Therefore, these studies concluded that diseconomies of small scale afflict, if at all, only the smallest of the domestic trunklines. The local airlines are particularly affected by diseconomies of small scale.

Richard E. Caves (4) also did a study in this area. He worked with the data of 1958 and almost obtained the same results. He found a good deal of variation from carrier to carrier. There was, however, no significant relations between size and avirage costs among trunklines, although local service carriers suffered diseconomis of small scale. Cave's work suggests thit the minimum scale of opera*ions needed for carriers like the domestic trunklines to achieve minimum " ${ }^{\text {rage }}$ costs lies between 100 million and 200 million ton-miles annually. Airlines below 100 million ton-miles are the ones who suffer the most.

Mahlon R. Straszheim (5) did a similar study for the international airline industry. He took a cross-sect: on sample of 56 firms reporting to the International Civil Aviation Organization (ICAO) for the yerr 1962. He subdivided the sample into five groups by size (is measured in millions of seat-miles), and found considerable differences in the costs. The most important is a decrease in costs is size increases. Breaking total costs into components and categorizing by firm size, he showed how direct flying expenses decline sharply with size. Economies of scale dre one possible explanation; this cost decline however, may have it; exnlanation in plane type and route structure. The large carriers are those flying many iet-hours, and jets have proven onomical in this respect. (The data is $\hat{\mathrm{r}} \mathrm{f} \boldsymbol{\mathrm { om }} 1962$ when there were not jets in operation.) Costs for passenger services,
ticketing, sales, and promotion are quite low for the group of smallest carriers. These small carriers as a group are serving smaller markets -in size and geographical area. Many do only the minimum in the way of ticket selling and promotion, and their passenger service is not comparable to that of larger carriers competing in the long-haul international markets. Finally, Straszheim concluded that this variation is the result of considerable differences in wage levels, schedulirg arilities, route densities, stage length, and firm size. Therefore, it is not concluded that the scale economy is the sole factor responsible for these variations. ANALYSIS OF SHORT HAUL COSTS

In order to investigate the existence of economy of scale, the most direct method is to consider the average costs of the airlines in each size category. For this purpose data were collected for a cross section of all U.S. airlines for 1972. The airlines are divided into four separate categories based on the amount of output they provided, as measured by Available Ton Miles (ATM). The categories are: The "Big Four" (American, Eastern, TWA, and United), the medium-sized lines (Braniff, Delta, National, Western, Northwest), the small lines (Northeast, Continental), and finally the local airlines. A number of different cost components are as follows:

1.     - Flying operations
2.     - Maintenance (Direct and indirect)
3.     - Passenger service
4.     - Aircraft and traffic servicing
5.     - Promotion and sales
6.     - General and administration
7.     - Depreciation and amortization (Direct and indirect)

The cost in each category for each airline is divided by the avai thie ton-mile provided by that airline to obtain the average costs. These results are included as part of the appendix. The averages for each cost category are then obtained from each group of airlines. To show the results more clearly, an index of 100 is assigned to the average costs of the Big Four; costs to the other categories are then measured reli-ive to this index. The results of these comparisons are shown in Table 2.1.

No clear trend can be observed in Table 2.1 between firm size and cost level. Clearly, local airline costs are higher than those of the other type of airlines, and since most short haul operations are carried out by local airlines, it can be deduced that short haul operations require higher average costs. This cannot be attributed to economies of scale which are to be sought in the differences in operating costs among the local airlines. The fact that they all incur higher operating - osts than the larger trunk carriers is due to other factors that are discussed later in this section.

TABLE 2.1 - COMPARISON OF COST LEVEL OF ALL AIRLINES

| Companent <br> (1972) | Big Four | Medium-Size <br> Lines | Small <br> Lines | Local <br> Airlines |
| :--- | :---: | :---: | :---: | :---: |
| Flying operations | 100 | 91.2 | 103 | 166 |
| Maintenance | 100 | 83.3 | 94.4 | 192 |
| Passenger Service | 100 | 92.3 | 91 | 100 |
| Aircraft and <br> Traffic Servicing | 100 | 102.3 | 89.5 | 216 |
| Promotion and <br> Sales | 100 | 100 | 107 | 136 |
| General and Admini- <br> strative | 100 | 79.2 | 100 | 192 |
| Depreciation and <br> Amortization | 100 | 135 | 72.5 | 140 |
| Total operating <br> expenses | 100 | 96 | 96 | 167 |

TABLE 2.2 COMPARISON OF FACTORS AFFECTING CuST LEVEL

|  | Domestic <br> Trunks | Local <br> Airlines | Local as <br> Percent <br> of Trunks |
| :--- | :---: | :---: | :---: |
| Average Passenger <br> Load Factor |  |  |  |
| Average Capacity <br> (seats) | 52.4 | 49.2 | 948 |
| Average Capacity <br> (tons) | 125.6 | 72.4 | 588 |
| Average Flight <br> Stage Length | 579.2 | 164.5 | 288 |
| An-Flight Passenger <br> Trip Length | 792.0 | 291.7 | 378 |

Looking at the trunklines for the moment reveals some facts. There is no significant cost disadvantage for the small lines observed in the Flying Operation cost component. The existence of economies of scale is not expected because this is the cost directly related to flight and no large fixed cost exists. Even in the maintenance account which is subject to mass prodiction and has fixed costs, no scale economy is observed and in fact the small lines have a lower average cost than the Big Four. The Passenger Service Component does not show any scale effect either. This may be due to the fact that the larger trunks offer mach more elaborate service.

Aircraft and traffic servicing covers expenditures mostly for airport station facilities. This component does contain a large fixed cost and has strong implications for the airline operations. One implication is that the carrier enplaning more passengers per station will have lower average costs. It also nas implications for the optimum network shape. Due to the significance of this component, it is studied in more detail in a later section.

The promotion and sales component is the only one that shows .nrmeasing cost as the firm size decreases. The apparent existence of economy : scale in this component can be attributed to the fact that even small carriers must maintain a level of promotion in order to maintain their market share. it is also the result of more advanced marketing techniques and higher degree of automation in the larger trunklines.

The other cost components do not show any sign of economies of scale. The total operating expense shows that the small and medium-sized lines have an average cost that is $95 \%$ of the Big Four, and thus, no scale economy is observed.

Total average cost variation with ATM as a measure of output are shown in Figure 2.1. From this figure, as well as from Table 2.1, it is evident that local airlines have much higher average costs in all components except passenger service. This cost differential should not necessarily be attributed to the firm size; there are many crucial differences between the local airlines and domestic trunklines that may be responsible for this observation.


Figure 2.1 - Average Cost vs. Available Ton Miles (All Airlines)


#### Abstract

Civil Aeronautics Board defines local service carrier as "certified domestic route air carriers operating routes of lesser density between the smaller traffic centers and between those centers and principal centers." It defines domestic trunks as "air carriers operating :ithin and between United States routes serving primarily the larger communities." Comparing these two definitions reveals several key operational differences between trunklines and local airlines. The trunklines typically operate in a denser market and fly longer hops. Therefore, they can operate with larger aircrafts that have higher productivity which results in producing ton-miles more cheaply than smaller ones. They also benefit from the longer hops because of existence of distance economies. Distance economy is the result of the existence of a fixed cost for take off and landing that tends to lower the average cost as the length of trip increases. Finally, trunklines generally achieve a higher utilization rate of aircraft and also a higher load factor due to denser markets they serve.

In general, the cost level of an airline depends on many factors such as: average length of the passenger trip, average length of airplane trip, average size and speed of aircraft, the utilization of the aircraft, and size of metropolitan populations served. The average cost has a negative correlation with all the above factors. Table 2.2 shows the comparison of some of the above factors for domestic trunks, and local airlines. These figures are averages of all domestic trunks, and all local airlines. It is infuristing to note that local airlines have much lower values than trunklines, which tends to increase their average cost. For example, local airlines have the average seat capacity of only $58 \%$, and average ton capacity of only $48 \%$ of the trunklines. Yet they achieved a load factor of $49.2 \%$ versus $52.4 \%$ of the trunks which shows the significance of the density of the market served. The average length of hop of locals is only $28 \%$ of the trunks which is another disadvantage for them. The other factors which are intangible are the systems of operation and managerial policies. Trunklines in general have more advanced and efficient systems of operation and enjoy a higher degree of automation in reservations and ticket sales.


In summary, it can be said that no single factor such as firm size can be responsible for ths cost disadvantage, but there is a set of factors contributing to this phenomenon. Based on the preceding discussion, we can conclude that it is not accurate to consider trunklines and locals in the same category and compare them. Because of these crucial differences, they have different production functions and, therefore, different cost functions. Thus, it seems a more appropriate way is to investigate the local airlines separately and at a disaggregate level. The presence of economies of scale for local airlines has implications for the airlines themselves, as well as the regulatory agencies. Airlines can achieve a lower unit cost by increasing the amount of output. Regulatory agencies would tenu to discourage competition, discourage new entries in the market, and encourage mergers.

In order to observe the variations among local airlines in the factors affecting the cost levels, Table 2.3 is prepared. lits content is the same as Table 2.2, except only individual local airlines are considered and listed in order of ATM, according to which the largest airline is Alleghany and the smallest is Texas International.

Since, as is shown in Table 2.3, all the factors affecting cost are in the same range and without large variations, it is possible to attribute the cost differences to the firm size. Therefore, the data for a cross section of the eight local airlines were obtained from CAB $(6,7)$ sources for 1972. The same procedure as before was used, namely, to divide all the cost items of each airline by its ATM to obtain the average costs. The arbitrary index of 100 is assigned to Alleghany which had the highest 1972 output. Other airlines are indexed by comparison to Aleghany. Table 2.4 shows the results.

It is evident from this table that there is no cost category which shows a systematic cost increase with decreasing size. For instance, in the aircraft and traffic servicing component, Southern has a cost $5 \%$ higher than Alleghany, but it is $13 \%$ lower than the third largest airline, North Central. So we can see that these small variations are quite random, and without a definite pattern. Thus, they could be attributed to the random factors of firms. However, in the total operating expense, the average cost tends to increase with decreasing firm size until Southern, the seventh largest firm, which has an average cost of $93 \%$ of North Central, the third largest firm.

TABLE 2.3 - COMPARISON OF FACTORS AFFECTING COST LEVEL (LOCAL AIRLINES)

|  | Alleghany | Frontier | Narth Central | Hughes Airwest | Piedmont | Ozark | Southerr | Texas International |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { Available } \\ & \text { Tan-Miles } \\ & \text { (000) } \end{aligned}$ | 701,203 | 268,526 | 226,669 | 231,917 | 207,047 | 200,014 | 175,753 | 164,095 |
| Passenger <br> Load <br> Factor | 48.9 | 51.9 | '0.1 | 47.5 | 50.1 | 49.1 | 46.6 | 49.9 |
| Average Capacity (Seats) | 78.2 | 69.1 | 69.4 | 81.5 | 71.3 | 70.3 | 66.5 | 63.7 |
| Average Capacity (Tans) | 9.6 | 8.7 | 9.0 | 9.9 | 8.3 | 8.1 | 8.2 | 7.4 |
| Average <br> Flight <br> Stage <br> Length <br> (miles) | 203.1 | 168.3 | 127.3 | 184.8 | 138.8 | 150.1 | 143.9 | 166.9 |
| On-Flight <br> Passenger Trip Length (miles) | 295.5 | 374.7 | 229.8 | 328.0 | 277.1 | 274.6 | 283.7 | 301.5 |

TABLE 2.4 - COMPARISON OF LOCAL AIRLINES COST LEVELS

|  | Alleghany | Frontier | $\begin{aligned} & \text { North } \\ & \text { Central } \end{aligned}$ | Hughes Ainwest | Piedmont | Ozark | Southem | Texas International |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Flying Operations | 100 | 90 | 100 | 119 | 99 | 113 | 119 | 120 |
| Maintenance | 100 | 120 | 108 | 92 | 114 | 113 | 106 | 135 |
| Passenger Service | 100 | 122 | 113 | 134 | 139 | 113 | 100 | 100 |
| Aircraft and Traffic Servicing | 100 | 99 | 119 | 117 | 113 | 127 | 105 | 128 |
| Promotion and Sales | 100 | 106 | 121 | 148 | $1: 4$ | 133 | 91 | 103 |
| General and Administrati | ive 100 | 116 | 152 | 158 | 68 | 100 | 121 | 153 |
| Depreciation and Amortization | 100 | 114 | 113 | 54 | 2.04 | 136 | 64 | 109 |
| Total operating <br> Expense | 100 | 103 | 112 | 115 | 115 | 119 | 105 | 122 |

Figure 2.2 shows the graph of average cost vs. ATM for the total operating expense. It consists of a cluster of points on the left and one point far on the right which represents Alleghany. Even though Alleghany notwithstanding, the range of output among the local carriers is not wide, it can be seen that no significant relation exists between output and average costs.

Based on these comparisons, a conclusion similar to the one for trunk airlines can be drawn here, namely that there does not appear to be any significant scale economies among the local airlines. Consequently, it is concluded that a linear cost function is an appropriate model of short haul total operating costs. Before such a model is constructed and calibrated, a detailed investigation into the components $0^{\circ}$ total costs is made. The components analyzed are: costs of ground handling, direct operating costs, and indirect operating costs.


FIGURE 2.2 - Average Cost vs. ATM (Local Airlines)

## 3. COST OF GROUND HANDLING JPERATIONS

The analysis of airport operating costs is relevant for two reasons. first, it permits the assessment of the ground handling componets of airline operating costs. These components, referred to as station costs, constitute absut 55 q of the total indirect operating costs of the local airlines, and $41 \%$ of the costs for the domestic trunks. Second, airport operating costs are essential for the assessment of the feasibility of dedicated short haul air transportation systems.

The cost characteristics of ground handling operations are likely to have strong influence on the evolution of the air transportation network. In particular, significant economies of scale in this cost category will tend to encourage the development of a concentrated, low connectivily network.

As with the analysis of total operating costs, this analysis is concerned with the relationship bctween airport costs and traffic volume. In order to perform the study, 1972 traffic and cost data for a cross section of 15 California airports are used (10). For each airport the data include traffic, operating expenses, and operating revenues. These are broken down into a number of categories as described below.

## COST CATEGORIES

The cost data are available in an itemized form including the following items:

Operating Expenses:
Administration
Maintenance and Operation of Airfield
Aircraft Parking
Hangars
Buildings
Equipment
Cost o Sales and Service
General Airport Expenses
lepreciation

Operating Revenues:
Hangar Space Rental
Aircraft Parking
Building Rentals Lease of Ground Areas Flight Fees Concession Revenues
Sales and Service Other Revenues

As can be set 7, these items include ones that are airport expenses, and others that $c^{-r}$ be considered airline expenses. It is then desirable to separate them into categories relevant to the purpose of the study.

The categories used are the following:
I. Total Operating Expense of the Airport: This includes all the items listed under expenses.
II. This category inciudes items of airport operating revenues that can be considered as airline station costs, namely: hangar space rental, building. rental, aircraft parking, lease of ground areas, and flight fees. III. This category includes the items included in II above except for hangar rentals and aircraft parking. This is done to permit the analys, $\boldsymbol{s}^{\text {, }}$ of station costs at airports where no hangars or based aircraft need be present. In addition, the two items eliminated can ee attributable in part to general aviation activities, and their exclusion may give a better indicator of air carrier station costs.
IV. In this category a further item is eliminated from category III, namely flight fees. The reason for this is that this item is purely a variable cost and does not include any fixed components. The consideration of category IV will then give a better indicator of fixed station costs than that of category III.

Table 3.1 shows the cost data organized in the manner discussed above. The data ir zludes 15 airport of which four are large jet ports with traffic volumes ar. order of magnitude larger than the rest. These are San Francisco, Los Angeles, Oakland, and San Jose. They are included in the analysis in order to increase the range available in the data base. This does not necessarily imply that airports of this type are necessarily sutiable for dedicated short haul air transportation.

From a glance at the table it is clear that no significant pattern exists between traffic volume and average cost, in any of the 1 uur categories considered. In order to verify this, the data are plotted in the graphs of Figure 3.1-3.4 and regression analysis is performed.

TABLE 3.1 - TRAFFIC AND COST DATA FOR CALIFORNIA AIRPORTS (1972)

|  |  | No. of Passengers Handled | $\begin{gathered} \text { Total } \\ \text { Expenses } \\ \text { I } \\ \hline \end{gathered}$ | Average <br> Cost Per <br> Passenger I | II | Average <br> Cost Per Passenger II | $\begin{gathered} \text { Expenses } \\ \text { III } \\ \hline \end{gathered}$ | Average Cost Per Passenger $\qquad$ 111 | Expenses IV | Average Cost Per Passenger IV |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1) | Visalia | 11,468 | 12,243 | 1.1 | 33,083 | 2.9 | 17,921 | 1.6 | 17,921 | 1.6 |  |
| 2) | Riverside | 15,638 | 155,131 | 9.9 | 56,053 | 3.6 | 56,053 | 3.6 | 51,840 | 3.3 |  |
| 3) | Merced | 20,247 | 171,943 | 8.5 | 27,921 | 1.4 | 13,298 | 0.7 | 8,060 | 0.4 |  |
| 4) | Modesto | 35,409 | 147,215 | 4.2 | 67,566 | 1.9 | 26,395 | 0.7 | 16,760 | 0.5 |  |
| 5) | Hawthorne | 38,000 | 342,128 | 9.0 | 182,103 | 4.8 | 106,377 | 2.8 | 106,377 | 2.8 |  |
| 6) | Salinas | 120,000 | 45,947 | 0.4 | 81,932 | 0.7 | 60,777 | 0.5 | 59,318 | 0.5 |  |
| 7) | Santa Barbara | 277,765 | 447,662 | 1.0 | 596,515 | 2.1 | 596,515 | 2.1 | 537,2'5 | 2.0 | $\bigcirc$ |
| 8) | Pala Springs | 325,2i.8 | 495,426 | 1.5 | 320,751 | 1.0 | 293,676 | 0.9 | 195,548 | 0.6 |  |
| 9) | Long Beach | 401,508 | 315,807 | 0.8 | 580,752 | 1.5 | 489,173 | 1.2 | 459,504 | 1.1 |  |
| 10) | Santa Monica | 550,000 | 533,990 | 1.0 | 317,817 | 0.6 | 162,579 | 0.3 | 198,440 | 0.4 |  |
| 11) | Fresno | 642,072 | 628,452 | 1.0 | 573,844 | 0.9 | 555,196 | 0.9 | 413,176 | 0.6 |  |
| 12) | San Jose | 1,903,638 | 3,149,535 | 1.6 | 1,107,8i3 | 0.6 | 947,915 | 0.5 | 355,682 | 0.2 |  |
| 13) | Oakland | 2,000,404 | 5,312,019 | 2.6 | 2,369,439 | 1.2 | 1,573,302 | 0.8 | 713,937 | 0.4 |  |
| 14) | San Francisco | 15,207,861 | 15,062,028 | 0.6 | 10,167,445 | 0.4 | 9,984,172 | 0.4 | 4,044,321 | 0.2 |  |
| 15) | Los Angeles | 22,960,791 | 21,948,224 | 0.9 | 21,956,759 | 0.9 | 21,650,261 | 0.91 | 10,799,379 | 0 |  |



Figure 3.1 - Average Cost of Ground Handling Operations (Category. I)


Figure 3.2 - Average Cost of Ground Handling Operations. (Category II)


Figure 3.3 - Average Cost of Ground Handling Operations (Category III)


Figure 3.4 - Average Cost of Ground Handling Operations (Category IV)

The graphs show that the averag costs decline slightly with the number of passengers, although they do show considerable fluctuations in the low volume ranges. It looks as though for volume levels below 500,000 annual passengers, no pattern of any kind can be detected, and for larger volume levels a constant average cost curve or equivalently a linear cost function is a good approximation.

With these observatons in mind, lineds regressions are performed for each of the four cost categories. The results of the regression ere shown in Tatle 3.2. For all four categories it appears that lines: fost functions are stat.stically significantly high, as are the $R^{2}$ values. However, linear cost functions are not sufficient to indicate the absence of sale economies. As discussed earlier, the constant terms in a linear cost function also has to be sufficiently low. In the four regression models of ground handling costs, it appears that the constant terms represent from 0.9 - $5 \%$ of the average value of the independent variable except for the total cost category when the higher proportion of $12.8 \%$ appears due to the expectedly large fixed cost component. This category, however, is not as relevant to the analysis of airline operating costs as are the other three. These fixed components being such a small proportion of the average values indicate that for all practical purposes, the cost functions could be assumed to exhibit constant returns and no economies of scale. It is interesting to note that the highest value of $12.8 \%$ is for the total airport operating expense categories. This is not unexpected as this category includes all the fixed facilities of the airport. The other three categories, which constitute airline station costs, exhibit very low values.

TABLE 3.2-GROUND haNDLING EXPENSES - REGRESSION RESULTS

| Category | Constant | Coefficient | F Ratio | $\mathrm{P}^{2}$ | stant Term \% of Average |
| :---: | :---: | :---: | :---: | :---: | :---: |
| I | $415 \times 10^{3}$ | 0.954 | 674 | 0.98 | 12.8 |
| II | $-22 \times 10^{3}$ | 0.870 | 437 | 0.97 | 0.8 |
| II I | $-120 \times 10^{3}$ | 0.860 | 442 | 0.97 | 5.0 |
| IV | $-11 \times 10^{3}$ | 0.408 | 189 | 0.93 | 0.9 |

## 4. DIRECT OPERATING COST

DOC covers expenses which are directly related to flying the aircraft. It includes expenses for crew salaries, fuel, aircraft maintenance, and aircraft depreciation.

The "standard method for estimating comparative direct operating costs of turbine-powered transport airplanes" (12) published by the Air Transport Association provides a means for assessing and comparing the operating economies of various aircrafts in a standard environment. In this method, DOC is categorized by items such as flying operations, direct maintenance, aircraft depreciation, etc. Each item is further broken down into other items such as labor-aircraft, labor-engine, material-aircraft, etc. For each of these items, there is an equation expressing it in terms of some explanatory variables.

There are some difficulties with the "ATA" method as discussed in the following. First, the method was last revised in 1967, and thus does not account for changes in costs especially in recent years. To correct this, one way would be to inflate the "ATA" cost figures by some index such as the "inflation index." But this would reduce the accuracy of estimation. Second, the ATA cost functions were based on 707/DC-8 aircraft operated in medium and long haul service; and it is not very clear to what extent they would represent the costs of short haul aircrafts. Finally, the use of these equations requires a detailed knowledge of the technical characteristics of the aircraft used. For these reasons, use of "ATA" method is quite time consuming and may lead to inaccurate results in the analysis of short haui air transportation.

The conventional method of estimating "DOC" is to graph the average cost (usually per available seat miles) versus stage length. The result is generally a U-snaped curve. The decreasing portion of the curve has to do with the fixed time for take-off and landing; as the stage length increases, this fixed time spreads over a larger distance, leading to a decrease in
average cost. However, at some point this curve starts rising due to the fact that at some flight stage length, some payload must be sacrificed in order to carry sufficient fuel. For most aircraft in the air carrier fleet today, this rising portion would not be relevant in short haul operations dealing with stage lengths of less than 500 miles. Figure 4.1 shows the graph of average "DOC" versus stage length for a number of different aircraft types.

Direct operating cost is also a function of the size of the aircraft. The average "DOC" decreases with increasing aircraft size, thus creating the so-called size economies. The size economies arise from two sources: crew costs, and costs related to aircraft equipment and structure. Although the crew requirements on large aircraft are greater than on the smaller types, the relationship is less than proportional. Also, there are many equipment costs that are independent of the aircraft size. The extent to which these factors lead to :ize economies in short haul operations is limited, however. As shown on Figure 4.2, average DOC vs. aircraft size does not show a significantly decreasing relationship.

The main weakness of calculating DOC vs. stage length is that this does not consider that flight time depends on congestion and fixed time at the airports as well as on distance. If congestion increases flight time on some routes, this procedure tends to show a lower DOC than actual. An alternate approach is to express DOC in terms of cost per block hour. Block time begins when the engines are started at one terminal and ends when the engines are shut down at the next.

The approach is then to consider the block time as a linear function of distance:

$$
T=T_{0}+a d
$$

where $T$ is trip time, $T_{0}$ is the constant term representing fixed time, $d$ is distance, and a is a parameter. From the average block speed and average trip distance for each carrier, the average trip time can be computed. Therefore, for each carrier and for given type of aircraft one observation is recorded. Having obtained these observations, the coefficient and constant term can be estimated using regression analysis.


Figure 4.1 - DOC vs. Stage Length

Source: Reference No. 5


Figure 4.2-DOC vs. Aircraft Size
Source: Reference No. 16

This has been done by several authors. Douglas and Miller (13) estimated this function for Boeing 727-200 for the year 1971 to be:

$$
T=22.1+0.12 \mathrm{~d}
$$

Simpson (14) used the scheduled trip times published by the carriers against distance. For the Boeing $727-200$, he reports that scheduled trip time may be represented as:

$$
T=26+0.11 d
$$

The CAB's Bureau of Economics (15) costing model uses a similar expression for the 727-200:

$$
T=29+0.106 d
$$

Therefore, if average costs per block hour are estimated for each type of aircraft, the DOC for a trip of distance " $d$ " is then simply the cost per block hour of given aircraft times the expected trip time $T$ for any distance.

## 5. INDIRECT OPERATING COST

DEFINITION OF COMPONENTS
Indirect operating costs relate to general airline support and administrative operations consisting of passenger service, ajrcraft and traffic servicing, reservations and ticket sales, advertising and publicity, general and administration se.vices, and depreciation of ground property and equipment.

The components of indirect operating costs and the items in each component are as follows:
I. Passenger Service

Food
Passenger Liability Insurance
Other Services (i.e., loss, damages)
II. Aircraft and Traffic Servicing

Landing Fees
Airpori Terminal Operations
Indirect Maintenance
III. Reservation and Ticket Sales

Passenger Commissions
Reservations and Ticket Office
Advertising and Publicity
IV. General and Administrati•
V. Depreciation of Ground Properties
I. Passenger Services Expenses -- Cost of activities contributing to the comfort, safety, and convenience of passengers while in flight and when flights are interrupted. It includes salaries and expenses of cabin attendants and passenger food expense. The passenger food expense does not constitue a large portion of this compenent in short haul operations, mainly because food is not served.


#### Abstract

1I. Aircraft and Traffic Servicing -- This component covers expenses for ground personnel and other expenses incurred on the ground to protect and control :he in-flight movement of aircraft, schedule and pros ared aircraft operational crews for flight assignment, handle and service aircraft while in line $r$.ation, and service and handle traffic on the ground. It includes landing iees, parking aircraft, hangar rental, and terminal rental.

This component is the largest single componert of IOC. There is a large fixed cust associated with this component which does not vary with the number of passengers, or frequency of flights. This large fixed cost is the facte which raises the question of existence of economy of scale in this component.


III. Reservation and Ticket Sales -- This component includes costs incurred in promoting the use of air transportation generally and creating a public preferense for the services of particular air carriers. It also includes the functions of selling, advertising and publicity, space reservations, and developing tariffs and flight schedules for publication.
IV. General and Administrative -- This component includes expenses of a general corporate nature and expenses incurred in performing activities which contribute tc more than a single operating function such as $g^{2}$ neral financial accounting activities, purchasing activities, representation at law, and other general operational administration net directly applicable to a particular function.
V. Depreciation of Ground Properties -- This covers the expenses for depreciation of property and equipment other than flight equipment. It includes maintenance equipment, hangars, general ground property, etc.

FORMULATION OF IOC MODEL

There are two possible ways toformulate an IOC model. The first method is to break down the IOC to its components, and then to find for each component explanatory variables that are relevant to that component. The sum of ali the components constitutes the IOC model. This approach is particularly helpful if the behavior of individual components is of interest. For instance, Revenuc Passenger Mile (RPM) may be the best variable to explain the passenger service component, whereas aircraft and traffic servicing may be represented best by available seat miles (ASM).

The second approach and the one used here is to explain the tetal inc in terms of some explanatory variables. However, in selecting the variables attention must be given to the individual components as well as they must be related to the variables.

There are a wide variety of variables which can be used in formulating the IOC model. They include: Available Seat Miles (ASM), Revenue Passenger Miles (RPM), Number of Passenger, Capacity of Aircraft, Tctal Revenue, etc. However, there is a serious multicollinearity between many of these variables so that if put together in the IOC function, they will result in an inaccurate estimate of the parametrs.

Ideally, a set of variables must be included in the IOC model which :.... the following criteria: (17)

1) A measure of overall capacity of service provided such as available seat miles (ASM).
2) A measure of the actual traffic the airline carrips, such as revenue passenger miles (RPM), or number of passengers.
3) A measure of the cost factors that do not vary with the stage length, such as Available Seat Departures (ASD), carncity of the aircraft, or the frequency $n f$ service.

By including expl^natory variables from each of the above categeries, we must be able to explain the indirect operating cost accurately. Nevertheless, there is a multicollinearity even between thesc variables. More on the existence of multicollinearity is discussed ir later sections.

The variables could be expressed in "ton" units, such as available ton miles (ATM), or revenue ton miles (RTM). This is to measure not only the passenger, but also freight and mail, and other things carried. However, in short haul operations, there may not be as much freight because of the prevalent aircraft size. Therefore, the use of "seat" unit is mor2 desirable.

There are several different formulations that can be made for the IOC function:

1) $\quad$ IOC $=C_{0}+C_{1}$ (Passengers) $+C_{2}$ (Cap^city) $+C_{3}$ (ASM) $+C_{4}$ (RPM)
2) $\quad I O C=C_{0}+C_{1}(A S M)+C_{2}(R P M)+C_{3}$ (ASD)
3) $10 C=C_{0}+C_{1}(R)+C_{2}$ (RM)
4) $10 C=C_{0}+C_{1}$ (Passengers) $+C_{2}$ (Frequency)
where: $\quad$ ASM $=$ Available Seat Miles
RPM $=$ Revenue Passenger Miles
ASD = Available Seat Departure
$R=$ Total Revenue of the Airline
RM = Aircraft Revenue Miles
$C_{0}, C_{1} \ldots . . C_{4}=$ Parameters

Selection from among the above formulation depends on the particular interest of the study. For example, equation (3) expresses the "IOC" in terms of revenue and revenue miles. It is only intended to find the "IOC" and does not offer any kind of tool for comparing different network shapes. The model selection is discussed in a later s-ction.

BRIEF DESCRIPTION OF SOME EXISTING IOC MODELS
There is a variety of "IOC" formulations used in a number of previous studies. Each of these models is tailored to the particular intents of their authors. Some of the $m^{-t}$ pertinent ones are presented in this section.

The first approach for formulation of the "IOC" was to break it down to its components and relate each to some explanatory variables. Caves (4) performed a cost analysis based on this approach. He took a cross section of the United States tirlines for the year 1959. He then broke the IOC down to five categories. Cave's results however, are relevant to average airline operations and not particularly suitable for short haul cost analysis.

The uther study performed in this area is by The Aerospace Corporation (16), who used operating data for PSA for the year 1970 and selected four
explanatory variables: Number of passengers, aircraft capacity, available seat miles, and revenue passenger miles. They also broke down IOC to six components, with some further breakdown of each component. Then, they found each cost element as percent of total "IOC", and allocated each cost element to the explanatory variables most sensitive to that cost. For example, $30 \%$ of the "Airport Terminal Operation" component was allocated to the constant term, $42 \%$ to the number of passengers, and $28 \%$ to the aircraft capacity. They then estimated a cost function and divided all the variables by pertinent numbers per departure to find the IOC per departure. The resulting model is:

$$
\begin{aligned}
\text { IOC/Dep. }=21.71 & +0.676 \text { (No. Pass.) }+0.325 \text { (Cap.) } \\
& +0.0041(\text { ASM })+0.0023(\text { RPM })
\end{aligned}
$$

Although this is a cost model for short haul operations, there are several problems with this formulation. First, the data base is limited to one year of observation (1970), and one airline (PSA). This cannot be an accurate representation of a cost model as in a particular year the observed airline may have had some random effects in the operation that are not typical of the market. The second problem arises from the fact that the amount of allocation of cost elements to explanatory variables has been based on judgment rather than on statistical analysis. Finally, there is a serious multicollinearity between the independent variables. For instance, RPM = No. Pass. $x$ Ave. Trip Length; or RPM $=$ ASM $x$ Load Factor, and since there is no reason to believe that average trip length or load factor changes in that give year, the variables themselves are linearly correlated.

The final cost model presented here is the result of a thorough investigation by T.E. Kee!er (17), who expresses the total IOC in terms of some explanatory variables. The functional form of his cost model is:

$$
\begin{aligned}
& I O C=a_{0}+a_{1}(A T M)+a_{2}(R T M)+a_{3}(A T D) \\
& \text { where: }=\text { Total indirect costs } \\
& \text { ATM }=\text { Available ton miles } \\
& \text { RTM }=\text { Revenue ton miles } \\
& \text { ATD }=\text { Available ton departures } \\
& a_{0}, a_{1} \ldots . a_{3}=\text { parameter }
\end{aligned}
$$

and uses quarterly data for 9 domestic carriers over a three-year period (1967-1969). To account for the heteroscedasticity of the disturbance term, Keeler then aiviuss all the variables in the equation by measure of overall scale of the operation which is ATM. Then, to deal with the possibility of differerces among airlines, he includes dummy variables in the regression and allows a different constnt term for each firm.

The resulting cost model as is the case with Cave's models, is based on the data for the trunklines. As discussed before, the cost functions of trunk carriers and local airlines are likely to be different.

## SOME METHODOLOGICAL ISSUES

Long Run and Short Run Cost Functions: In classical economic theory, there are two types of time periods of interest: short run and long run. The short run is defined to be that period of time in which some of the firm's inputs are fixed. More specifically, the short run is generally the length of time during which the firm's plant and equipment are fixed. On the other hand, the long run is that period of time in which all inputs are variable. In the long run, the firm can build any scale or type of plant that it wants. All inputs are variable; the firm can alter the amounts of land, buildings, equipment, and other inputs. The implication of this theory for cost functions is that in the long run theoretically, there should not be any fixed costs, since no inputs are fixed. On the other hand, in the short run there exists a fixed cost.

To understand this difference more clearly, consider Figure 5.1. This figure shows the average cost curves for three scales of operation $S_{1}, S_{2}$, and $S_{3}$. In the long run, the firm can build or convert to any of these scales; however, in the short run it can operate with only one of them. The question then is which scale should be adopted to yield the lowest cost. The answer obviously depends on the amount of output the firm wants to produce in the long run. For instance, if the anticipated output rate is $Q Q_{1}$, the firm should choose the smallest scale of operation $S_{1}$. This will produce $Q Q_{1}$ units of output at a cost of $O C_{1}$ which is lower than $O C_{2}$ and $O C_{3}$ of the other two scales. This scale yields the lowest cost up to point $A$ at which the average costs for scales $S_{1}$ and $S_{2}$ are indifferent. However, beyond point $A$, the firm must switch to scale $S_{2}$ as it yields lower cost than others. Furthermore, the firm should adopt scale $S_{3}$ at rates of outputs beyond point $B$. Therefore, the


LRAC = LONG RUN AVERAGE COST
$S_{1}=$ SHORT RUN AVERAGE COST SCALE I
$\mathrm{S}_{2}=$ SHORT RUN AVERAGE COST SCALE 2
$S_{3}=$ SHORT RUN AVERAGE COST SCALE 3
long run average cost function is the solid portion of the short run functions in figure 5.1. However, at each scale level the firm chooses the amount of output corresponding to the minimum average cost of that scale. Therefore, the long run average cost function shows the minimum cost per unit of producting each output level when any desired scale of plant can be built.

The long run cost function is then tangent to each of the short run average cost functions at the output where the plant corresponding to the short run function is optimal. Mathematically, the long run average cost function is the "envelope" of the short run functions. The interesting point to note is that in many industries, after an initial decline due to economy of scale, the long run average cost function is constant over a considerable range of output. Therefore, the long run average cost function is in general "L" shaped rather than U-shaped as in the short run.

Long run functions are more relevent to systems planning as they account for growth and technology changes inoperations. Estimation of the long run and short run cost functions mostly depend on the type of data obtained. In general, time series data yield the short run function. This is to obtain data for a firm over a number of time periods. However, to obtain the long run cost functions, generally cross section data is used. This is to obtain data for a number of firms of different sizes at some given period of time. Taking the cross section data automatically rules out the possibility of temporal variations in factor prices. Ideally, in order to obtain a good estimate, a wide range of output levels is needed.

Linear Cost Functions: There are several reasons to believe that the shape of the IOC function is linear. First, in the first section it was shown that the return to scale in airline operations is constant. This rules out the possibility of having a function of non-linear form. Second, it was argued that we are estimating a long run cost function. In the long run there is not likely to be a "capacity constraint". Therefore, this rules out the possibility of having a function of exponential form. Third, and perhaps most significant, is the graphical correlation of independent variables with IOC. Figures 5.2 to 5.5 show this correlation. It is obvious from these graphs that there is a strong linear trend between all the variables and IOC.


Figure 5.2-IOC vs. Revenue Passengers


Figure 5.3-IOC vs. Revenue Passenger :Hiles


Figure 5.4 - IOC vs. Available Seat Miles


Figure 5.5 - IOC vs. Revenue Departures

Some Special Problems in Estimating the Cost Function: In taking the cross section data for estimating the long iun cost functions, a problem may arise which is called "regression fallacy." The reason is that observations on a cross section sample normally vary by a transient short-run component from a true or long run equilibrium position and these transient components can be expected to be distributed so that a function fitted to the cross section data will yield a biased estimate of the long-run rulationship that is sought. This, in fact, says that in a given period, some of the firms might not be operating at the optimum levels. Therefore, their average costs are not the minimum obtainatle, and the long run curve which envelopes these ... ${ }^{\cdot} \mathrm{d}$ lead to a bias in the cost estimates.

Meyer and Kraft (19) suggest some technique to soive this problem. They suggest that an efficient method of minimizing regression fallacy bias is simply to use data that have been averaged over several years of experience. This reduces the potential influence of any one extreme year of relative inactivity or overactivity and, furthermore, tends to increase the possibility of offsetting years of underactivity against years of overactivity. This proposition seems quite logical, and is used in this study.

In classical linear regression theory, one of the assumptions is that the variance of the disturbance term is constant for all observations. This feature of the regression disturbance is called homoscedasticity. If this assumption is violated, we have a heteroscedastic disturbance term. Heteroscedasticity generally implies that the variance of the residual tends to increase with the increasing amounts of output. If the assumption of homoscedasticity is not fulfilled, then the usual formula for the standard error of a regression coefficient will be inapplicable. To detect the heteroscedasticity, J. Johnson (18) profoses a rough test. He suggests marking off some arbitrary intervals on the urpput axis, computing the variance about the fitted regression surface within each interval, and testing these variances for homogencity. If the test shows the exjstence of heteroscedastic disturbance term, then the solution is to transform the variables. For example, if the standard deviation of the distrubance term is proportional to the overall scale of operation of the firm, then all the variables in the regression should be divided by an appropriate measure of the scale of operation of the firm. This is the reason that Straszheim (5) divides all his cost variables by available seatmiles, or Keeler (17) divides all the variables by available ton-miles. Tests for heteroscedasticity are performed in this study as is discussed in a later

In the classical linear regression theory, it is required that none of the explanatory variables be perfectly correlated with any other explanatory variable or with any linear combination of other explanatory variables. However, multicollinearity is a question of degree and not of kind. The distinction is not between its presence or absence, but between its various degrees. In extreme cases, in fact, collinearity can completely break down the statistical estimation problem, in the sense of makingit indeterminate. However, extreme collinearity and not just moderate or slight collinearity, usually is required before really serious problems arise for empirical studies.

In collinear situations one is often faced with a number of alternative specifications of the causal structure that are equally as logical, and will apparently do equally well in explaining the behavior under investigation. In costing, for example, several different specifications of the explanatory output variables may serve equally well in explaining variations in costs because the different measures of output are highly correlated with one another. The usual approach of handling collinearity is to try a number of different specifications, all of which are considered about equally justifiable on the theoretical or conceptual grounds, and to accept that one which seems to provide the best explanation of the behaviour under study.

This problem often arises in most of the cost estimations; however generally little attention is given to it. In specifying airline operating costs, many of the explanatory variables have high degree of collinearity. Unfortunately, there is no single method to attack this problem, and solutions must be found within the frameworks of individual cases. However, in general, if two independent variables have a high degree of collinearity, one of them should be dropped to assure an accurate estimate.

## DATA BASE

Since this study is concerned with short haul operations, it was thought that the best data source would be PSA operating data. Unfortunately, the operating and cost statistics of PSA are not readily available. For these reasons, it is $\dot{c}$ cided to take a cross section of other local airlines for which the data is readily available from $C A B$ sources.

Local airlines are quite relevant to this study. As discussed before, the local airlines do have the ame cost functions. They have comparable ranges of output, fly the same average stage lengths, serve markets with the same density, offer the same services, and fly in comparable route structures. These similarities make the interfirm ..fect minimum, and make the use of local airlines data quite desirable. In fact, the only difference is the geographic location which was felt to have little effect, if any, on the aggregate cost estimation which is done here.

The financial and traffic statistics were obtained from CAB's publications ( 6,7 ). The raw data was obtained for local airlines reporting to $C A B$, of which there are nine. They are: Alleghany, Frontier, Hughes Airwest, Mohawk, North Central, Ozark, Piedmont, Southern, and Texas International. The traffic data were obtained for the following categories: Revenue Passengers, Revenue Passenger Miles, Revel... Depa, tures, and Available Seat Miles. The financial data was obtained for the following categories: indirect maintenance, passenger service, aircraft and traffic servicing, promotion and sales, general and administrative, amortization of developmental and preoperating expense, and depreciation of other than flight equipment. In the traffic data, there is a distinction made between scheduled and non-scheduled services. However, this distinction is not made in the financial data. Thus, the non-scheduled traffic was added to the scheduled, as part of the cost data is definitely allocated for that. The raw data for the period 1969-1972 for these categories are included in this appendix.

Manipulation of Data: If the cross section data is to be used for any of these given years, the total number of observations would te nine. However, in any of these years, there were some undesirable events (i.e., strihes, mergers). The striking airlines obviously cannot be included as they were not operating at the optimum level for the year of strike. The airlines that had strikes in the period of 1969-1972 are the following:

| Airline | 46 |  |
| :---: | :---: | :---: |
|  | Period of Full Strike | Partial Operations |
| Hughes Airwest | 12/15/71-12/21/71 | 12/22/71-4/29/72 |
| Mohawk | 11/20/70-4/13/71 | 4/14/71-5/8/71 |
| Ozark | 4/20/70-4/26/70 | --- |
| Piedmont | 7/ 2/69-8/14/69 | 8/15/69 |

Source: U.S. Civil Aeronautics Board "Air Carrier Traffic Statistics"
Mohawk airline was merged with Alleghany on April 12, 1972. Excluding the striking airlines will reduce the number of observation points which is undesirable. Therefore, it was decided to take the cross section over two time pericds and instead drop all the striking airlines. Only Ozark was not excluded because the period of its trike was only 6 days which was felt not to affect the annual operations very greatly.

As discussed in the preceding section, one of the problems with using the cross section data is the so-called "regression fallacy". It was also discussed that a possible solution is to average the data over several years. The same approach was used here. The data for the period of 1969-1972 was averaged over two two-year periods. The 1969 and 1970 data, and 1971-72 data were averaged to yield the data for two time periods. However, from 19691972 there have been many price changes, and inflation simply raised the cost figures. Therefore, the effect of inflation must be isolated from actual cost changes due to the airlines' growth. To do this, the consumer price index was used. T'יe index for periods of 1969-1972 is as follows:

| U.S. Consumer Price Index |  |
| :--- | :---: |
| Year |  |
| (base year) 1969 |  |
| 1970 |  |
| 1971 |  |
| Index |  |
| Source: U.N. Statistical Yearbook |  |

Selection of the base year 1969 is arbitiary, and all cost components are expressed in terms of 1969 "constant dollars." When this deflation is performed, the cost data can be averaged.

TABLE 5.1 - LOCAL AIRLINES' COST AND TRAFFIC DATA

| Airline (Averages) | Year | $\begin{gathered} \text { Total } \\ \text { IOC } \\ 1969 \\ \text { Constant } \\ \text { Doilars } \\ (000) \end{gathered}$ | Rev. Pass. (000) | $\begin{gathered} \text { R.P.M. } \\ (000) \end{gathered}$ | Rev. Dep. | $\begin{gathered} \text { A.S.M. } \\ (000) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Alleghany | $\begin{aligned} & 69-70 \\ & 71-72 \end{aligned}$ | $\begin{aligned} & 67,287 \\ & 95,747 \end{aligned}$ | $\begin{aligned} & 5,430.5 \\ & 7,930 \end{aligned}$ | $\begin{aligned} & 1,503,935.5 \\ & 2,333,092.5 \end{aligned}$ | $\begin{aligned} & 260,889.5 \\ & 311,918.5 \end{aligned}$ | $\begin{aligned} & 3,531,481.5 \\ & 4,988,953.5 \end{aligned}$ |
| Frontier | $\begin{aligned} & 69-70 \\ & 71-72 \end{aligned}$ | $\begin{aligned} & 43,597.5 \\ & 46,397.5 \end{aligned}$ | $\begin{aligned} & 2,546,5 \\ & 2,848 \end{aligned}$ | $\begin{aligned} & 1,031,057.5 \\ & 1,084,076 \end{aligned}$ | $\begin{aligned} & 183,391 \\ & 184,751 \end{aligned}$ | $\begin{aligned} & 2,199,102 \\ & 2,214,084 \end{aligned}$ |
| Mohawk | 1969 | 33,232 | 2,235 | 593,919 | 165,863 | 1,273,760 |
| $\begin{aligned} & \text { North } \\ & \text { Central } \end{aligned}$ | $\begin{aligned} & 69-70 \\ & 71-72 \end{aligned}$ | $\begin{aligned} & 39,878 \\ & 49,808.5 \end{aligned}$ | $\begin{aligned} & 3,490 \\ & 4,056.5 \end{aligned}$ | $\begin{aligned} & 708,068.5 \\ & 347,462 \end{aligned}$ | $\begin{aligned} & 214,071 \\ & 220,732.5 \end{aligned}$ | $\begin{aligned} & 1,676,405 \\ & 2,004,348.5 \end{aligned}$ |
| Ozark | $\begin{aligned} & 69-70 \\ & 71-72 \end{aligned}$ | $\begin{aligned} & 30,515.5 \\ & 36,315.5 \end{aligned}$ | $\begin{aligned} & 2,398.5 \\ & 2,897.5 \end{aligned}$ | $\begin{aligned} & 627,686.5 \\ & 806,881.5 \end{aligned}$ | $\begin{aligned} & 143,625 \\ & 155,861.5 \end{aligned}$ | $\begin{aligned} & 1,408,298 \\ & 1,673,4 \div 9.5 \end{aligned}$ |
| Piedmc 7 t | 71-72 | 35,500.5 | 3,016 | 837,588 | 177,921.5 | 1,714,185 |
| Southern | $\begin{aligned} & 69-70 \\ & 71-72 \end{aligned}$ | $\begin{aligned} & 20,941 \\ & 26,913 . \end{aligned}$ | $\begin{aligned} & 1,576.5 \\ & 2,110.5 \end{aligned}$ | $\begin{aligned} & 437,914 \\ & 642,433.5 \end{aligned}$ | $\begin{aligned} & 117,494 \\ & 135,433 \end{aligned}$ | $\begin{aligned} & 1,045,408.5 \\ & 1,377,805.5 \end{aligned}$ |
| Texas International | $\begin{aligned} & 69-70 \\ & 71-72 \end{aligned}$ |  | $\begin{aligned} & 2,205 \\ & 2,351.5 \end{aligned}$ | 610,914 712,373 | $\begin{aligned} & 154,055.5 \\ & 140,516.5 \end{aligned}$ | $\begin{aligned} & 1,425,520.5 \\ & 1,451,943.5 \end{aligned}$ |

Source: Reference $(0,7)$

In summary, the annual raw data were obtained for period of 1969-1972. The striking airlines were all dropped. The consumer price index was used to deflate all the costs to the 1969 dollars. The averages of each two-year period of 1969-1970 and 1971-1972 were obtained. Table 5.1 shows the data ured in estimat ${ }^{\text {r }}$ : the cost function.

## ESTIMATION AND RESULTS

Least squares regression was used to estimate the equations. Initially, there were four independent vari-bles considered as follows: Revenue passenger mile. (RPM), revenue passengers, revenue departures, and available seat miles (ASM). Each of these variables is plotted against the fependent variable (IOC) to observe the graphical correlation. Figures 5.2 to 5.5 show these plots. It is clear from these graphs that all the independent variables show a strong linear reiationship with the dependent variable. On the same graphs, the least square line is shown for each variable. In the first step, a multiple regression was run on all the mentioned variables. However, as suspected, the strong multicollinearity between the independent variables makes the multiple regression impossible. The correlation matrix between all the variables is the following:

|  | IOC | Rev. <br> Pass. | RPM | Rev. Dep. | ASM |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1. IOC | 1.0 | 0.97 | 0.98 | 0.96 | 0.98 |
| 2. Rev. Pass. |  | 1.0 | 0.95 | 0.96 | 0.96 |
| 3. RPM |  |  | 1.0 | 0.91 | 0.99 |
| 4. Rev. Dep. |  |  |  | 1.0 | 0.92 |
| 5. ASM |  |  |  |  | 1.0 |

From this table, the following observations can be made. First the high correlation between the dependent variable (IOC), and all the other variables is a gond indication of the linear relationships between them. Second, all the variables have very high correlati, ns with each other which is the indication of linear relationship among them, and, therefore, the existence of multicollinearity. The result of the multiple regression on these variables is presented here for illustration:

$$
\begin{align*}
10 \mathrm{C}=-5,999,740 & +\underset{(0.78)}{1.1 \text { Rev. Pass. })}+\underset{(2.7)}{.028(\text { RPN })} \\
& +125.58(\text { Rev. Dep. })-.0023(\text { ASM })  \tag{2.7}\\
(3.5) & (0.44)
\end{align*}
$$

The above equation is obviously incorrect. The negative intercept is unerpected, and the negative coefficient for (ASM) is meaningless. Also, the $t$-statistics are quite small which indicates lack of significance. Regressions on pairs of independent variables gives results such as the following:

$$
10 C=5,607,160+\underset{(.75)}{.014(\mathrm{RPM})}+\underset{(1.3)}{.011(\mathrm{ASM})}
$$

$$
R^{2}=0.98
$$

In this equation, the coefficient of determination ( $\mathrm{R}^{2}$ ) is very high, and yet the $t$-statistics for all the variables are quite small. These are the classical symptoms of multicollinearity. The small t-values indicate that at the $5 \%$ level these coefficients are not different from zero. Therefore, we cannot rely on the results of this estimation.

Due to these problems, it is decided to express the IOC in terms of a single independent variable. It may seem that an accurate result cannot be obtained by doing so, but in fact a single variable does a good job for predicting the IOC. The regression is run for three indef endent variables separately. The results are as follows:
$I O C=5,641,600+.01809($ ASM $)$
$R^{2}=0.98$
F ratio $=379$
Constant $=13 \%$ of mean $I O C$
(II)
$I O C=5,812,150+\underset{(18.5)}{.039(\mathrm{RPM})}$
$R^{2}=0.98$
F ratio $=344$
Constant $=14 \%$ of mean $10 C$
(III)

$$
\begin{aligned}
\mathrm{IOC} & =5,199,000+11.366 \text { (Rev. Pass) } \\
\mathrm{R}^{2} & =0.97 \\
\text { F ratio } & =230 \\
\text { Constant } & =12 \% \text { of mean } \mathrm{IOC}
\end{aligned}
$$

The above equations do have the explanatory power to express the IOC. They all have high $R^{2}$ and $F$ values and the independent variables are significant. The constant terms of the equations are not very large, which is consistent with a long run cost function. To observe the goodness of fit of these equations, the estimated and observed values for each equation are plotted. These are shown on Figures 5.6 to 5.8. It can be seen from these figures that the models predict the IOC values very well.

Although all these models are independent, they have similar interpretations. In each case, the IOC is expressed in terms of a different measure of output. For instance, if one is interested in knowing the indirect cost of producing seat miles, then the first equation can be used. In this case, all the IOC is attributed to available seat miles and, the coefficient of this variable is its unit cost.

Long Run Marginal Costs: Recalling economic theory, we know that the marginal cost is the slope of the total cost function. Therefore, the long run marginal cost is the slope of the long run total cost function. Furthermore, when the total cost function is linear, the average cost after an initial decline due to the constant term will tend to flatten and equal the marginal cost. Thus, in a linear long run total cost function, the long run average cost is equal to the long run marginal cost, and equal to the slope of the total cost functions. The slope of each of the previous models is the coefficent of the output measure. Thus, the long run indirect marginal cost of producting one seat mile is 1.8 cents. The long run marginal cost of producing one revenue passenger mile is 3.9 cents, and that of one revenue passenger is $\$ 11.4$. These are the marginal costs when ail the cost is expressed in terms of each single variable.

Elasticities: Elasticity is a unitless number which indicates the legree of sensitivity of one variable (generally the dependent variable) with respect to another variable. If this value is greater than 1 , the dependent variable is sensitive; if less than 1 , it is insensitive; and if equal to 1 , it is defined to be unit elastic.

The elasticity at means values for each of the (IOC) equations can be found from:

$$
e=a \bar{x} / \bar{y}
$$

where $\bar{x}$ and $\bar{y}$ are the mean values of the independent and the dependent variable respectively and a is a parameter for $x$.

The results of the elasticities are the following:
(I) $e=0.89$
(II) $e=0.89$
(III) $e=0.88$

These are the elasticities of IOC with respect to each output variable. As expected, they are not much different from unity. This means that a percent change in the output measure is accompanied by approximately the same percentage change in IOC.

Test for Heteroscedasticity: As discussed earlier, an appropriate test for determining the heteroscedastic disturbance term is to group the data in the increasing order of the output variable, and observe the variance of the residuals in each group. The observations are grouped in two categories of seven observations each. For each case the variance of the residuals is calculated. If the ratio of the variance of the first group to the second is much smaller than one, then it follows that the variance of the residuals is increasing with increasing output, and heterosceuasticity is implied. Tables 5.2 to 5.4 summarize these results. In all the cases the ratio of the variance is close to one. Consequently, it can be concluded that heteroscedasticity is not present and the statistical assumptions of the regression models are valid.


Figure 5.6-Actual vs. Estimated $I O C[I O C=f(A S M)]$


Figur. . 7 - Actual vs. Estimated $10 C[10 C=f(R P M)]$


Figure 5.8-Actual vs. Estimated $10 C[I O C=f($ Rev. Pass $)]$

TABLE 5.2 -- test for heteroscedasticity (ASM)

| Residual | (Residual) $^{2}$ | Sum of Squares | $\sigma^{2}$ |
| :---: | :---: | :---: | :---: |
| $-3,615.22$ | $13,069,815$ | $1-7$ |  |
| $4,544.21$ | $20,649,844$ |  |  |
| $-3,656.79$ | $13,372,113$ |  |  |
| -606.49 | $367,830.12$ | $61,784,014$ | $12,356,802$ |
| $-3,739.6$ | $13,984,608$ |  |  |
| -427.67 | $182,901.62$ |  |  |
| 396.11 | $156,903.13$ |  |  |
| $3,905.14$ | $15,250,118$ | $8-14$ |  |
| $-1,155.92$ | $1,336,151$ |  | $17,592,112$ |
| $7,902.14$ | $62,443,816$ |  |  |
| $-1,832.54$ | $3,358,203$ |  |  |
| 696.39 | 484,959 |  | Ratio $=0.7$ |
| $2,249.83$ | $5,061,735$ |  |  |
| 159.93 | 25,578 |  |  |

TABLE 5.3-test FOR heteroscedasticity (rPM)

| Residual | (Residual) $^{2}$ | Sum of Squares | $\sigma^{2}$ |
| :---: | :---: | :---: | :---: |
| $-2,008.38$ | $4,033,590$ | $1-7$ |  |
| $4,177.56$ | $17,452,007$ |  |  |
| $-2,025.52$ | $4,102,731$ |  |  |
| 139.61 | 19,491 | $87,196,271$ | $17,439,254$ |
| $-4,039.5$ | $16,317.560$ |  |  |
| $6,356.45$ | $40,404,456$ |  |  |
| $-2,206$ | $4,866,436$ |  |  |
| $-1,072.97$ | $1,151,265$ |  |  |
| $-3,089.63$ | $9,545,813$ |  | $15,450,801$ |
| $6,918.58$ | $47,866,749$ |  |  |
| $-2,563.83$ | $6,573,224$ | $77,254,009$ |  |
| $-1,838.64$ | $3,380,597$ |  | Ratio $=1.13$ |
| $2,620.16$ | $6,865,238$ |  |  |
| $-1,367.89$ | $1,871,123$ |  |  |

TABLE 5.4 - TEST FOR HETEROSCEDASTICITY (REV. PASS.)

| Residual | (Residual) $^{2}$ | Sum of Squares | $\sigma^{2}$ |
| :---: | :---: | :---: | :---: |
| $-2,176.88$ | $4,738,806.5$ | $1-7$ |  |
| $-2,273.93$ | $5,170,758$ |  |  |
| $-2,567.53$ | $6,592,210$ |  |  |
| $2,629.48$ | $6,914,165$ | $116,782,314.5$ | $23,356,463$ |
| -442.68 | 195,965 |  |  |
| $-1,945.39$ | $3,784,542$ |  |  |
| $9,454.41$ | $89,385,868$ |  |  |
| $8,827.50$ | $77,924,756$ |  |  |
| $-1,817.12$ | $3,301,925$ |  |  |
| $-3,979.02$ | $15,832,600$ |  |  |
| $4,989.09$ | $24,891,019$ |  |  |
| $1,497.54$ | $2,242,626$ |  |  |

## 6. TOTAL COST MODEL

Total operating costs result from the addition of the direct and the indirect operating costs. In constructing a total cost model for short haul operations, total operating expense data are obtained for a group of local airlines operating in short haul markets, and are related directly to an appropriate measure of output: available seat-miles.

The total operating expense data are obtained for the period 1969 to 1972. The expenses are deflated to 1909 in order to remove the effects of price inflation from the total cost function. The model based on cost data for a group of airlines is a long run cost function and is intended to show the relationship between total costs and output levels a relationship which is shown on Figure 6.1. As discussed in the previous chapter, an attempt to avoid regression fallacies is made by averaging the cost and output data for each airline for each of two two-year periods. Thus any variations away from the long run cost function may be removed or reduced. The resulting data used in the estimation of the model are shown in Table 6.1

The choice of available seat-miles (ASM) as the output variable is based on the results of the analysis of indirect operating costs, where it was shown that this variable is significantly well correlated with costs. The advantage of using this variable is that it measures the amount of total service provided, which affects indirect costs, as well as the mileage flown which affects direct costs. Furthermore, using a single variable avoids the multicollinearity problems discussed earlier.

Total operating expense is taken as the dependent variable and available seat mile as the independent variable, and the resulting regression model is:

$$
\begin{aligned}
& \mathrm{TOC}=13.44 \times 10^{6}+.033(\mathrm{ASM}) \\
&(t=27) \\
& R^{2}=.98 \\
& \mathrm{~F} \text { ratio }=731 \\
& \text { constant }=16 \% \text { of mean total cost }
\end{aligned}
$$

TABLE 6.1


Source: Reference (6, 7)

The high $\mathrm{R}^{2}$ in this model indicates that the independent variable explains most of the variation of the dependent variable. The ${ }^{\text {righ }}$ "F" ratio indicate; that the regression as a whole is significant. Graph 6.2 shows the plot comparing actual and estimated costs. The agreement seems quite good and the variations are very small.

Finally, a few words about the constant term. It is $16 \%$ of the mean of total cost. Although, its magnitude is not very large, nevertheless, its presence sannot be disregarded. Graph 6.3 shows the plot of the average cost vs. available seat miles based on the regression results. It can be seen that after a rapid initial decline, the curve tends to flatten. Whether this decline could be attributed to the scale econcmies is not quite clear. The output ranges of the local airlines being considered is approximately from $1000 \times 10^{6}$ to $5000 \times$ $10^{6}$ ASM. The graph shows that in this range the decline is not very significant. Also, for airlines to operate in the flat range of this aurve, they must produce beyond $5000 \times 10^{6}$, and none of the local airlines achieve this level.

Therefore, it is not quite otvious that the scale economy exists. Even if it exists, it seems the 'ocal airlines do not have enough output to use this factor.


Figure 6.1 - Total Operating Cost vs. ASM


Figure 6.2-Actual vs. Estimated $\operatorname{TOC}[\mathrm{TOC}=f(A S M)]$


Figure 6.3 - Average Cost vs. ASM (Based on the regression results)

## 7. A NOTE ON AIR FARES

## ALTERNATIVE FORMULATION OF IOC MODEL

We recall that aircraft and traffic servicing is a major component of airlines indirect operating costs. It primarily covers costs incurred in ground handling operations. This component does not vary with the amount of mileage provided, rather it varies with the absolute number of seats provided. Therefore, the suitable explanatory variable would be the number of available seat departures provided.

Therefore, an alternative formulation is to divide IOC into two components. First, total IOC less aircraft and traffic servicing which is related to available seat miles, and second, the aircraft and traffic servicing expense which is related to the available seat departures.

The other advantage of separating the aircraft and traffic servicing component is that it provides a good estimate of the station costs per unit of output for short haul airlines.

Table 7.1 shows the data used to estimate this formulation. The same data base as explained before has been used. In this table the values for ASM, ASD, IOC less aircraft and traffic servicing, and aircraft and traffi= servicing expenses are shown.

The results of the models are as follows:
I) IOC less aircraft and Traffic Servicing $=2,231,886+.0105$ (ASM)
II) Aircraft and Traffic Servicing $=-2,643,544+1.65$ (ASD)

In order to test the significance of the constant term, the following procedure can be used: The unconstrained regression is run with results as shown above. Then, another, constrained, regression is run whose intercept is forced to zero. If the sum of squares of residuals of unconstrained and constrained regressions are $E^{u}$ and $E^{u^{\prime}}$ respectively, then the following equation yields the $F$-value:

$$
F=\frac{\left[E^{u^{\prime}}-E^{u}\right] / m}{E^{u} /(n-k-1)}
$$

WHERI: $\mathrm{m}=$ number of constraints
n = number of observations
$k$ = number of parameter in the unconstrained regression
With this F-value it is possible to test the hypothesis that the constant term is insignificant. This procedure is used for the preceding regressions with the following results:

Regression $\quad$\begin{tabular}{l}
Computed <br>
F-Value

$\quad$

Value Needed <br>
For Significance
\end{tabular}

These results show that in both cases the constant terms are significant. This conclusion is quite expected when dealing with a long run cost function. It also indicates the economies of scale do not exist for these cost categories.

In summary, the results indicate $t$ the indirect operating cost of producing one available seat mile is 1.05 , and that the station cost of Froviding one available seat departure is 1.65 collars.

MODELS OF FARES
Having obtained the long run marginal costs of producing seat miles and seats, and having estimated the direct cost of operating aircraft, one can estimate an appropriate fare function.

The idea is based on the fact that airlines set the fare $a^{\text {the }}$ level for which, in the long run, they can receive the marginal $c$ f producing the air service. This follows from the economic theory that the long run profit of the firm is zero, provided that the allowable return on the investment is included in the cost.

Based on the estimated cost functions, we can estimate a formula for fare as a function of distance. Since all the cost estimates are based on the available seat miles, or available seat departures, the resulting fare function determines the fare level at 100 percent load factor. From that one can obtain the optimum fare level at any given load factor. The advantages of this approach is that, first, one can obtain an idea of the breake den load factors if the fare is regulated, and second, with a demand function that is sensitive to the fare level, one can find the optimum fare level that maximizes revenue.

Based on the estimated cost function, two different fare formulas are estimated:
I) This formula is based on the IOC formulation $I$, which expressed total IOC in terms of ASM, and on the DOC formula for a Boeing 727-200 with an assumed capacity of 158 seats* The formula for fare is obtained by combining the IOC and DOC. Table 7.2 shows the fare per mile as a decreasing function of distance. The resulting function being

$$
\text { Fare }=\frac{\$ 1.38+.023 \text { (Distance) }}{\text { Load Factor }}
$$

II) The second formula is estimated based on the alternative formulation of IOC described earlier. The main difference is that this accounts for the station cost explicitly, rather than including it in the IOC. Table 7.3 shows the procedure used to obtain this formula. Note that the station cost is constant per ASD and does not vary with the mileage. The resulting function:

$$
\text { Fare }=\frac{\$ 3.0+.016 \text { (Distance) }}{\text { Load Factor }}
$$

We can observe that due to the explicit accounting of the station cost, the second formula yields a higher constant which is representative of the fixed costs.
*The DOC function used is DOC $=\$ 214.9+.88$ (Distance), which is based on a DOC function estimated for B. 727-200 by Douglas \& Miller (13), and deflated to 1969 dollars in consistency with the rest of the cost functions.

TABLE 7.1 - DATA USED IN ESTIMATING THE ALTERNATIVE IOC FORMULATION

| AIRLINE | TOTAL IOC LESS A/C \& TRAFFIC SERVICING (000) | A/C \& TRAFFIC SERVICING (000) | $\begin{gathered} \text { ASM } \\ (000) \end{gathered}$ | $\begin{gathered} \text { ASD } \\ (000) \end{gathered}$ |
| :---: | :---: | :---: | :---: | :---: |
| Allegheny |  |  |  |  |
| 69-70 | 37,780 | 29,507 | 3,531,481.5 | 19,619.3 |
| 71-72 | 53,974 | 41,773 | 4,988,953.5 | 24,839.2 |
| Frontier |  |  |  |  |
| 69-70 | 27,001.5 | 16,596 | 2,199,102 | 13,744.4 |
| 71-72 | 27,665.5 | 18,732 | 2,214,084 | 13,257.9 |
| Mohawk 69 | 18,697 | 14,535 | 1,273,760 | 8,446.7 |
| N. Central 69-70 | 21,086 | 18,792 | 1,676,405 | 14,621.9 |
| 71-72 | 27,972.5 | 21,836 | 2,004,348.5 | 15,869.7 |
| Ozark |  |  |  |  |
| 69-70 | 16,703.5 | 13,812 | 1,408,298 | $9,959.7$ |
| 71-72 | 19,078.5 | 17,237 | 1,673,449.5 | 11,212.4 |
| Piedmont 71-72 | 19,347.5 | 16,153 | 1,714.185 | 12,664.8 |
| Southern |  |  |  |  |
| 69-70 | 11,097.5 | $9,843.5$ $12,576.5$ | 11,045,408.5 | 7,860.2 |
| 71-72 | 14,337 | 12,576.5 | 1,377,805.5 | 9,568.1 |
| $\begin{gathered} \text { Texas Int ' } 1 \\ 69-70 \end{gathered}$ | 14,510 | 13,184 | 1,425,520.5 | 9,317.1 |
| 71-72 | 16,318 | 15,166 | 1,451,945.5 | 8,847.9 |

Source: Reference $(6,7)$


Figure 7.1 - IOC Less $A / C$ and Traffic Service vs. ASM


Figure 7.2-A/C and Traffic Service vs. ASD


Fipure 7.3 - Actual vs. Estimated $A / C$ and Traffic Service


Figure 7.4 - Actual vs. Estimated IOC - A/C and Traffic Servi e

TABLE 7.2 - DEVELOPMENT OF FARE FORMULA I

| DISTANCE | $\begin{gathered} \text { DOC } \\ \text { (DOLLARS) } \end{gathered}$ | DOC/ASM (DOLLARS) | IOC/ASM (DOLLARS) | FARE AT 100\% LOAD FACTOR (DOLLARS) | FARE PER MILE AT $100 \%$ LOAD FACTOR (CENTS) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 20 | 232.5 | . 0; 36 | . 0181 | 1.84 | 9.2 |
| 30 | 241.3 | . 0509 | . 0181 | 2.07 | 6.9 |
| 50 | 258.9 | . 0328 | . 0181 | 2.55 | 5.1 |
| 75 | 280.9 | . 0237 | . 0181 | 3.15 | 4.2 |
| 100 | 302.9 | . 0192 | . 0181 | 3.70 | 3.7 |
| 150 | 346.9 | . 0146 | . 0181 | 4.95 | 3.5 |
| 200 | 390.9 | . 0124 | . 0181 | 6.00 | 3.0 |
| 250 | 434.9 | . 0110 | . 0181 | 7.25 | 2.9 |
| 300 | 478.9 | . 0100 | . 0181 | 8.40 | 2.8 |
| 350 | 522.9 | . 0095 | . 0181 | 9.45 | 2.7 |
| 00 | 566.9 | . 0089 | . 0181 | 10.80 | 2.7 |
| 500 | 654.9 | . 0083 | . 0181 | 13.00 | 2.6 |

TABLE 7.3-DEVELOPMENT OF FARE FORMULA II

| DISTANCE | $\begin{aligned} & \text { DOC/ASM } \\ & \text { (DOLLARS) } \end{aligned}$ | $\begin{aligned} & \text { IOC/ASM } \\ & \text { (DOLLARS) } \end{aligned}$ | $\begin{aligned} & \text { SC/ASD } \\ & \text { (DOLLARS) } \end{aligned}$ | FARE <br> AT $100 \%$ <br> LOAD FACTOR <br> (JOLLARS) | FARE PER MILE AT $100 \%$ LOAD FACTIOR (CENTS) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 20 | . 0736 | . 0105 | 1.05 | 3.33 | 16.6 |
| 30 | . 0509 | . 0105 | 1.65 | 3.49 | 11.6 |
| 50 | . 0328 | . 0105 | 1.65 | 3.81 | 7.6 |
| 75 | . 0237 | . 0105 | 1.65 | 4.21 | 5.6 |
| 100 | . 0197 | . 0105 | 1.65 | 4.62 | 4.6 |
| 150 | . 0146 | . 0105 | 1.65 | 5.41 | 3.6 |
| 200 | . 0124 | . 0105 | 1.65 | 6.23 | 3.1 |
| 250 | . 0110 | . 0105 | 1.65 | 7.02 | 2.8 |
| 300 | . 0100 | . 0105 | 1.65 | 7.80 | 2.6 |
| 350 | . 0095 | . 0105 | 1.65 | 8.65 | 2.5 |
| 400 | . 0089 | . 0105 | 1.65 | 9.40 | 2.3 |
| 500 | . 0083 | . 0105 | 1.65 | 11.05 | 2.2 |

## COMPARISONS WITH ACTUAL FARES

In order to assess the accuracy of the fare models, their results are compared with actual fares existing during the 1969 period for which cost data are used. To do this fares for 14 California city pairs are obtained for September 1969. These city pairs are selected to include a wide distance range for comparison purposes. Table 7.4 shows the cities and the corresponding distances and fares. The list includes major city pairs, such as San Francisco-Los Angeles, that are served by many airlines as well as minor ones, such as San Jose-San Francisco, which are served by commuter carriers.

Tu compute the fares applicable in the selected markets it is necessary to specify the load factor. Unfortunately link specific load factor information is not available for direct inclusion in the model, and consequently the numbers have to be assumed. Intrastate carrier load factors have in general been higher than those of the trunks. Jordan (22) reports that during the period 1951-1965 California intrastate carriers maintained load factors of the order of $70 \%$. These numbers are likely to have declined due to the increases in capacity, and a factor of $60 \%$ is more likely to be representative for 1969.

Using the assumea $60 \%$ load factor, the fare model formulas can be rewritten as:
I) Fare per mile $=(2.3+0.038$ Distance $) /$ Distance
II) Fare per mile $=(5.0+0.027$ Distance $) /$ Distance

These formulas give a good comparison with actual fares. The comparisons are shown in Table 7.4, and in Figures 7.5 and 7.6.

As mentioned before, ihe basic difference between the two formulas is that (II) takes account explicitly of the station costs whereas (I) includes these costs implicitly as part of the indirect operating costs. The result is that (I) has a higher slope for variable costs, whereas (II) has a higher constant term, or fixed cost component. The net result is that in the low
table 7.4 - COMPARISON OF FARE FORMULAS WITH THE ACTUAL FARES

| CITY PAIR | DISTANCE MILES | $\begin{aligned} & \text { ACTUAL } \\ & \text { FARE } \\ & (1969 \$) \end{aligned}$ | FARE FORMULA (I) - $60 \%$ L.F. (1969 \$) | FARE FORMULA (II) - 60\% L.F. (1969 \$) | PERCENT DIFFERENCE <br> (I) | PERCENT DI FFERENCE (II) | ACTIIAL FARE PER MILE (Cents) | FARE I <br> PER MILE (Cents) | FARE II PER MILE (Cents) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| SJC-SFO | 32 | 4.50 | 3.53 | 5.85 | -21.5 | 30.0 | 14.1 | 11.0 | 18.3 |
| OAK-SAC | 67 | 8.00 | 4.87 | 6.79 | -39.1 | -15.1 | 11.9 | 7.3 | 10.1 |
| SAC-SFO | 79 | 7.30 | 5.33 | 7.11 | -26.9 | - 2.6 | 9.2 | 6.7 | 9.0 |
| SAN-LAX | 109 | 7.14 | 6.48 | 7.91 | -9.2 | 10.78 | 6.5 | 5.9 | 7.2 |
| SJC-BUR. | 296 | 14.52 | 13.65 | 12.89 | - 6.0 | -11.2 | 4.9 | 4.6 | 4.4 |
| SJC-LAX | 309 | 14.52 | 14.14 | 13.24 | - 2.6 | - 8.8 | 4.7 | 4.6 | 4.3 |
| OAK-BUR | 326 | 14.52 | 14.79 | 13.69 | 1.8 | - 5.7 | 4.5 | 4.5 | 4.2 |
| SFO-BUR | 327 | 14.52 | 14.83 | 13.72 | 2.1 | - 5.5 | 4.4 | 4.5 | 4.2 |
| OAX-LAX | 339 | 14.52 | 15.29 | 14.04 | 5.3 | - 3.3 | 4.3 | 4.5 | 4.1 |
| SFO-LAX | 340 | 14.52 | 15.33 | 14.07 | 5.5 | - 3.0 | 4.3 | 4.5 | 4.1 |
| SFO-LGB | 355 | 14.85 | 15.90 | 14.47 | 7.0 | - 2.5 | 4.2 | 4.5 | 4.1 |
| SFO NTT | 362 | 16. 19 | 16.17 | 14.65 |  | - 9.5 | 4.4 | 4.4 | 4.0 |
| OAK-SN: | 448 | 16.19 | 19.47 | 16.95 | $: 0$ | 4.6 | 3.6 | 4.3 | 3.8 |
| CFO-SNA | 449 | 16.19 | 19.51 | 16.97 | 21 | 4.8 | 3.6 | 4.3 | 3.8 |



Figure 7.5 - Actual and Estimated Fares vs. Distance


Figure 7.6 - Actual and Estimated Average Fares vs. Distance
ranges of distance (up to amout 230 miles), (II) yields higher estimates, and as the distance increases, the effect of the fixed element diminishes, and (I) tends to yield higher estimates. Although both formulas show differences with actual fares in the lower ranges of distance, these differences become smalle- as the distance increases. Both models tend to have viry good agreement with the actual in the middle ranges of distance. Although it seems that both fare formulas appear capable of predicting actual fares, it is possible to discuss the discrepancies of these models with the actual.

The first factor and perhaps the most important is the aircraft mix of the fleet. This does not have mach effect on the IOC, since IOC is not strongly related to aircraft type and performance. Yowever, the fleet mix has a profound effect on the DOC functions of the ai:lines. Therefore, depending on the number of each aircraft type in the fleet, the total DOC function varies from one airline to another. In this study, the DOC function was based on the Boeing $727-200$ which is not representiative of the whole fleet even though it is a major aircraft in the mix. This ovciously reduces the accuracy if the model when compared with the cetuill fare levels.

The second source of difference may te attributed to the regional demand pattern. In determining the fare levels. airlines take into consideration the pattern of the demand, as well as the supply characteristics. In these fare functions, demand is implicitly considered only in the form of the load factu.. Clearly, a more realistic fare package could be obtained if a complete demand model is used.

The other source cf discrepancy is the fact the the selected city pairs were served by different airlines. In an attempt to make this interairline difference small by considering those which serve the most cities, PSA was the ouvious choice. however, this carrier did not serve all the city pairs considered an' her airlines had to be consjd:red. This interfirm difference is importalit as differert airlines have different policies and management, whicn affect their cost function and consequent $1 y$ fare levels.

Finally, it is clear that airlines tend to have the same fare levels for city pairs located within the same vicinities. They also seem to determine the fare levels based on ranges of distance. For instance, in Tiale IV it is interesting to note that the actual fare for 6 city pairs connecting S.F.-L.A. regions are the same, even though difference in the distance is up to 44 miles. This policy of airlines can be attributed to several factors. They do not want to make different links between two regions competitive based on the fare charged. They keep the fares the same so that the links compete based on their other characteristics (i.e., accessibility, geographic location). This way each link has its own natural load without the interference of the fare factor. The other reason could be the fact that having a large set of different fares for small differences in distances will tend to confuse the customers and add a burden to the accountants and management of the airlines.

Naturally, all these reaso $s$ tend to imply that one model, based on distance cannot accurately predict fares in a short haul market. However, for the purposes of demand analysis, it appears that the accuracy of the present models is sufficient. In other words, it is possible to consider that the cost functions and the resulting fare models as appiopriate supply functions for short haul air transportation.

## 8. SUAMARY AND CONCLUSIONS

Various aspects oi short haul airline operating costs are investigated in this study. The analysis of total operating costs for different airlines operating in short haul markets indicates that no significant savings, in terms of average total costs, can be accrued by increasing the scale of the operalions. In other words, it is shown that no significant economies of scale exist in short haul systems, and that linear cost functions are appropriate models of total operating costs. Comparing the short haul with the "trumks" indicates that short haul operations are overall more expensive than trumk cperations. Clearly, a main reason for this is the influence of length of haul in direct operating costs. Direct operating costs represent approximately half the total costs, as., they decline considerably with increased length of haul.

The absence of scale economies in the operating costs of short haul airlines does not preclude the possibility that gains in level of service can be achieved when the volume levels increase. Indeed, an increase in service measured for instance by available seat miles, implies an increase in schedule frequency, and a decrease in expected passenger delays in the transportation system. Considerations of level of service such as increased frequency may be sufficient to encourage concentration of air transpostation service, and the increase in volumes, even though operating cost characteristics do not.

In an attempt to investigate the impact of cost characteristics on the development of a short haul air transportation network, an analysis of ground handling costs is made. The underlying idea being that competition notwithstanding, economies of scale in this category may encourage airlines to concentrate their service network into a hub-and-spoke rather than a totally connected network. However, the analysis shows that in this category linear cost functions also appear to be suitable models. Slight economies of scale due to fixed costs exist at very low volume levels but disappear as soon as the volume increases.

The analysis of direct operating costs shows the dependence of this cost category on aircraft type and length of haul. Available models based on recent studies provide useful DOC formulas for different aircraft types. For the res ${ }^{+}$of the succeeding analysis the DOC. formula for the Boeing 727-200 aircraft is used.

Indirect operating costs required detailed analysis due to the lack of available results specific to short haul operations. For these reasons IOC models are constructed and calibrated with airline cost data. The ミtatistical difficulties caused by multicollinearity preclude the use of .altiple variable models. For this reason separate models with alternative output variables are calibrated. These variables include available seat miles ASM, available seat departures ASD, and revenue passenger miles RPM. The model with ASM as the independent variable is selected for succeeding analysis. All models of IOC are linear and indicate the absence of economies of scale from this cost category.

Statistical analysis of total cost information results in the calibration of linear cost models. In this case it appears that slight economies of scale exist at low levels of output (measured in ASM) but disappear as the output exceeds approximately $4000 \times 10^{6}$ ASM.

The total cost model formulated as a function of ASM is a useful tool for the analysis of the evolution of the air transportation system. However, it is not sufficient for the analysis of fares. The reason is that fares are developed on the basis of distance, a variable which is only implicitly included in the total cost model. For this reason, a simple model is developed where IOC and DOC are separated, and the latter related to distance. This model is then transformed into a model for generating fares appropriate at any given load factor. Using average load factors of $00 \%$, the fare model results are compared with actual Califormia corridor fares, and a very close fit is observed.

It is concluded, then, that a model of fares such as the one developed in this study, based on the operating cost functions of short haul airlines, is suitable for integration with demand models in order to provide a
capability for estimating traffic volumes. All these models can ve useful tools in dec: iion making regarding the planning of short haul air transportation systems.

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table 1a - total annual costs for individual components (all airlines)

| All <br> Carriers | Fly. Ops. (000) | $\begin{aligned} & \text { Maint. } \\ & (000) \end{aligned}$ | Pass. Serv. (000) | Airct. <br> and <br> Traff. <br> Serv. <br> (000) | Prom. <br> and <br> Sales <br> (000) |  <br> Admin. <br> (000) | $\begin{aligned} & \text { Depr . } \\ & \text { Amort. } \\ & (000) \end{aligned}$ | $\begin{aligned} & \text { Total } \\ & \text { Cost (Doll.) } \\ & (000) \end{aligned}$ | Avail. <br> Ton <br> Miles <br> (000) | Total <br> Cost <br> per <br> ATM <br> (cents) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| American | 320,012 | 195,058 | 127,940 | 243,934 | 138,494 | 52,016 | 102,265 | 1,179,719 | 5,502,507 | 21.4 |
| Eastern | 272,401 | 143,397 | 94,804 | 180,048 | 122,391 | 47,910 | 62,455 | 923,306 | 3,219,549 | 28.7 |
| TWA | 253,769 | 129,641 | 106,910 | 137,136 | 108,160 | 50,605 | 72,028 | 858,250 | 4,018,822 | 21.3 |
| United | 503,860 | 237,200 | 192,265 | 293,255 | 171,866 | 75,484 | 176,686 | 1,650,616 | 7,487,478 | 22.0 |
| Braniff | 80,430 | 35,899 | 26,817 | 51,996 | 29.265 | 12,568 | 20,694 | 257,668 | 1,069,833 | 24.1 |
| Delta | 209,747 | 122,134 | 81,210 | 164,498 | 89,711 | 24,889 | 85,465 | 777,655 | 3,391,906 | 22.9 |
| National | 75,614 | 46,623 | 32,329 | 60,833 | 45,840 | 13,049 | 35,703 | 309,991 | 1,438,221 | 21.5 |
| Western | 85,898 | 34,314 | 37,662 | 65,123 | 45,351 | 17,043 | 33,868 | 319,260 | 1,240,979 | 25.7 |
| Northwest | 79,347 | 35,707 | 25,861 | 40,880 | 25,812 | 9,140 | 61,991 | 278,739 | 1,553,697 | 17.9 |
| Northeast Continental | $\begin{aligned} & 30,054 \\ & 86,172 \end{aligned}$ | 12,763 52,546 | 8,126 40,951 | 15,834 50,270 | 12,623 36,156 | 4,214 19,716 | 2,534 38,792 | 86,146 324,604 | 318,211 $1,832,143$ | $\begin{aligned} & 27.1 \\ & 17.7 \end{aligned}$ |
| LOCAL <br> (aggregated) | 256,549 | 156,463 | 59,070 | 209,851 | 85,406 | 51,407 | 63,798 | 882,545 | 2,263,841 | 39.0 |

table 2a - averace costs per 'aim' (all airlines)


TABLE 3A - ANHUAL TRAFFIC DATA (1909-1972)

| Alrline | Year | Rev. <br> Pass. <br> (000) | Rev. <br> Pass. <br> Miles <br> (000) | Rev. <br> Dep. | Avall. <br> Seat <br> Miles <br> (000) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Alleghany |  |  |  |  |  |
|  | 1969 | 4,938 | 1,321,549 | 262,131 | 3,160,036 |
|  | 1970 | 5,923 | 1,686,322 | 259,648 | 3,902,927 |
|  | 1971 | 6,489 | 1,895,038 | 267,490 | 4,310,146 |
|  | 1972 | 9,371 | 2,771,147 | 356,347 | 5,667,761 |
| Frontier |  |  |  |  |  |
|  | 1969 | 2,492 | 971,498 | 193,079 | 2,178,893 |
|  | 1970 | 2,601 | 1,090,617 | 173,703 | 2,21],311 |
|  | 1971 | 2,758 | 1,066,192 | 187,298 | 2,305,413 |
|  | 1972 | 2,938 | 1,101,960 | 182,204 | 2,122,755 |
| Hughes Airwest |  |  |  |  |  |
|  | 1969 | --- | -- | --- | -- |
|  | 1.970 | --- | - | -- | --- |
|  | 1972 | 2,965 | 899,038 | 147,67\% | 1,952,772 |
|  | 1972 | 2,745 | 906,561 | 125,071 | 1,892,370 |
| MOHAWK |  |  |  |  |  |
|  | 1969 | 2,713 | 649,476 | 2,240 | 1,370,259 |
|  | 1970 | 2,338 | 583,484 | :5,063 | 1,237,690 |
|  | 1971 | 1,766 | 475,387 | 90,837 | 1,047,333 |
|  | 1972 | -- | - | -- |  |
| N. Central |  |  |  |  |  |
|  | 1969 | 3,227 | 609,974 | 210,287 | 1,543,707 |
|  | 1970 | 3,753 | 806,163 | 217,855 | 1,809,103 |
|  | 1971 | 3,794 | 865,734 | 219,261 | 1,960,562 |
|  | 1972 | 4,319 | 1,029,190 | 222,204 | 2,048,135 |
| OZARK |  |  |  |  |  |
|  | 1969 | 2,339 | 578,205 | 143,062 | 1,266,092 |
|  | 1970 | 2,458 | 677,168 | 144,188 | 1,550,504 |
|  | 1971 | 2,778 | 774,538 | 151,965 | 1,635,291 |
|  | 1972 | 3,017 | 839,225 | 159.758 | 1,711,608 |
| Piedmont |  |  |  |  |  |
|  | 1969 | 2,235 | 593,919 | 165,863 | 1,273,760 |
|  | 1970 | 2,717 | 753,808 | 185,545 | 1,680,585 |
|  | 1971 | :,853 | 789,545 | 178,589 | 1,659,096 |
|  | 1972 | 3,179 | 885,631 | 177,254 | 1,769,274 |
| Southern |  |  |  |  |  |
|  | 1969 | 1,459 | 377,478 | 111,506 | 962,388 |
|  | 1970 | 1,694 | 498,350 | 123,482 | 1,228,429 |
|  | 1971 | 1,993 | 603,430 | 133,202 | 1,336,797 |
|  | 1972 | 2,228 | 681,437 | 137,664 | 1,418,814 |
| Texas |  |  |  |  |  |
| Inter- | 1969 | 2,176 | 552,920 | 154,471 | 1,320,363 |
| national | 1570 | 2,234 | 668,908 | 153,040 | 1,530,678 |
|  | 1971 | 2,393 | 718,003 | 150,987 | 1,507,175 |
|  | 1972 | 2,310 | 706,743 | 130,0.6 | 1,396,712 |

TABLE AA - AVERAGE COSTS PER "ATM" (LOCAL AIRLINES)

table 5a - total annual costs for imdividual components (local airlines)

| Local Carriers | Fly. <br> Ops. <br> (000) | Maint. (000) | Pass. Service (000) |  | Prom. 6 Sales (000) | $\begin{aligned} & \text { G G A } \\ & (000) \end{aligned}$ | Depr. $\delta$ Amort. (000) | Total Cost (000) | $\begin{aligned} & \text { ATM } \\ & (000) \end{aligned}$ | Total Cost per ATM (cents) |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Alleghany | 75,676 | 43.937 | 16,432 | 58,867 | 23,469 | 13,588 | 15,537 | 247,506 | 701,205 | 35.3 |
| Froatier | 25,964 | 20,478 | 7,437 | 22,304 | 9,371 | 6,031 | 2,60 | 98,187 | 268,526 | 36.5 |
| N. Central | 28,512 | 16,151 | 7,081 | 26,690 | 10,646 | 7,840 | 7,057 | 105,979 | 266,669 | 39,7 |
| Hughes Alrwest | 29,471 | 13,498 | 7,162 | 22,637 | 11,478 | 7,057 | 2,873 | 94,176 | 231,917 | 40.6 |
| Pledmont | 21,822 | 14,957 | 6,615 | 19,672 | 8,546 | 2,809 | 9,409 | 83.829 | 207,047 | 40.5 |
| ozark | 24,205 | 14,276 | 5,198 | 21,413 | 8,900 | 3,893 | 5,992 | 83,879 | 200,014 | 41.9 |
| Southern | 22,431 | 11,890 | 4,012 | 15,433 | 5,304 | 4,115 | 2,559 | 65,744 | 175,753 | 37.4 |
| Texas Inc'l. | 21,282 | 13,964 | 3,781 | 17,663 | 5,647. | 4,774 | 3,983 | 71,091 | 164,095 | 43.3 |

3
table 6a - annual toc compoinen's (local ainlines)


| Airline | Year | TABLE 6A (Continued) |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Maint. <br> Indirect <br> (000) | Pass. Service (000) | $A / C$ and Traffic Servicing (000) | Prom. and Sales (000) | $\begin{aligned} & G \& A \\ & (000) \end{aligned}$ | Amort. <br> and <br> Depr. (000) | Total <br> Current <br> \$ (000) | Total <br> Constant <br> (1969 \$) <br> (000) |
| OZARK |  |  |  |  |  |  |  |  |  |
| Strike: | 1969 | 2,974 | 3,932 | 13,436 | 5,747 | 2,618 | 666 | 29,373 | 29,373 |
| 4/20/70- | 1970 | 3,494 | 4,529 | 15,181 | 6,706 | 3,023 | 941 | 33,874 | 31,658 |
| 4/26/70 | 1971 | 3,761 | 4,478 | 18,286 | 7,579 | 3,325 | 1,122 | 38,551 | 34,420 |
|  | 1972 | 4,676 | 5,198 | 21,413 | 8,900 | 3,893 | 1,009 | 45,089 | 38,211 |
| Pledmont |  |  |  |  |  |  |  |  |  |
| Strike: | 1969 | 3,508 | 3,958 | 12,920 | 4,006 | 1,829 | 853 | 27,074 | 27,074 |
| Ful1:7/22/ | 1970 | 4,212 | 5,448 | 15,745 | 5,578 | 2,213 | 960 | 34,156 | 31,921 |
| 69-8/14/69 | 1971 | 4,146 | 5,781 | 17.511 | 7,437 | 2,434 | 1,117 | 38,426 | 34,309 |
| $\begin{aligned} & \text { Partial: } \\ & 8 / 15 / 69 \end{aligned}$ | 1972 | 4,486 | 6,615 | 19,672 | 8,546 | 2,809 | 1,169 | 43,297 | 36,692 |
| Southern |  |  |  |  |  |  |  |  |  |
|  | 1969 | 1,738 | 1,875 | 9,079 | 3,003 | 2,286 | 602 | 18,583 | 18,582 |
|  | 1970 | 2,506 | 2,661 | 11,351 | 4,273 | 3,192 | 947 | 24,930 | 23,299 |
|  | 1971 | 2.711 | 3.314 | 13,523 | 4,774 | 3,921 | 939 | 29,182 | 26,055 |
|  | 1972 | 3,111 | 4,012 | 15,433 | 5,304 | 4,115 | 796 | 32,771 | 27,772 |
| Texas |  |  |  |  |  |  |  |  |  |
| Inter- | 1969 | 2,575 | 2,952 | 12,483 | 3,601. | 3,357 | 973 | 25,941 | 25,941 |
| national | 1970 | 2,827 | 4,035 | 14,857 | 4,580 | 3,962 | 1.247 | 31,508 | 29,447 |
|  | 1971 | 3,050 | 4,231 | 17,207 | 5,532 | 4,643 | 1,195 | 35,858 | 32,016 |
|  | 1972 | 3,920 | 3,781 | 17,663 | 5,647 | 4,774 | 738 | 36,523 | 30,952 |

