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PROGRAM USERS' GUIDE

COMPUTER PROGRAM SYSTEM
FOR DYNAMIC SIMULATION AND
STABILITY ANALYSIS OF PASSIVE
AND ACTIVELY CONTROLLED
SPACECRAFT

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FOREWORD

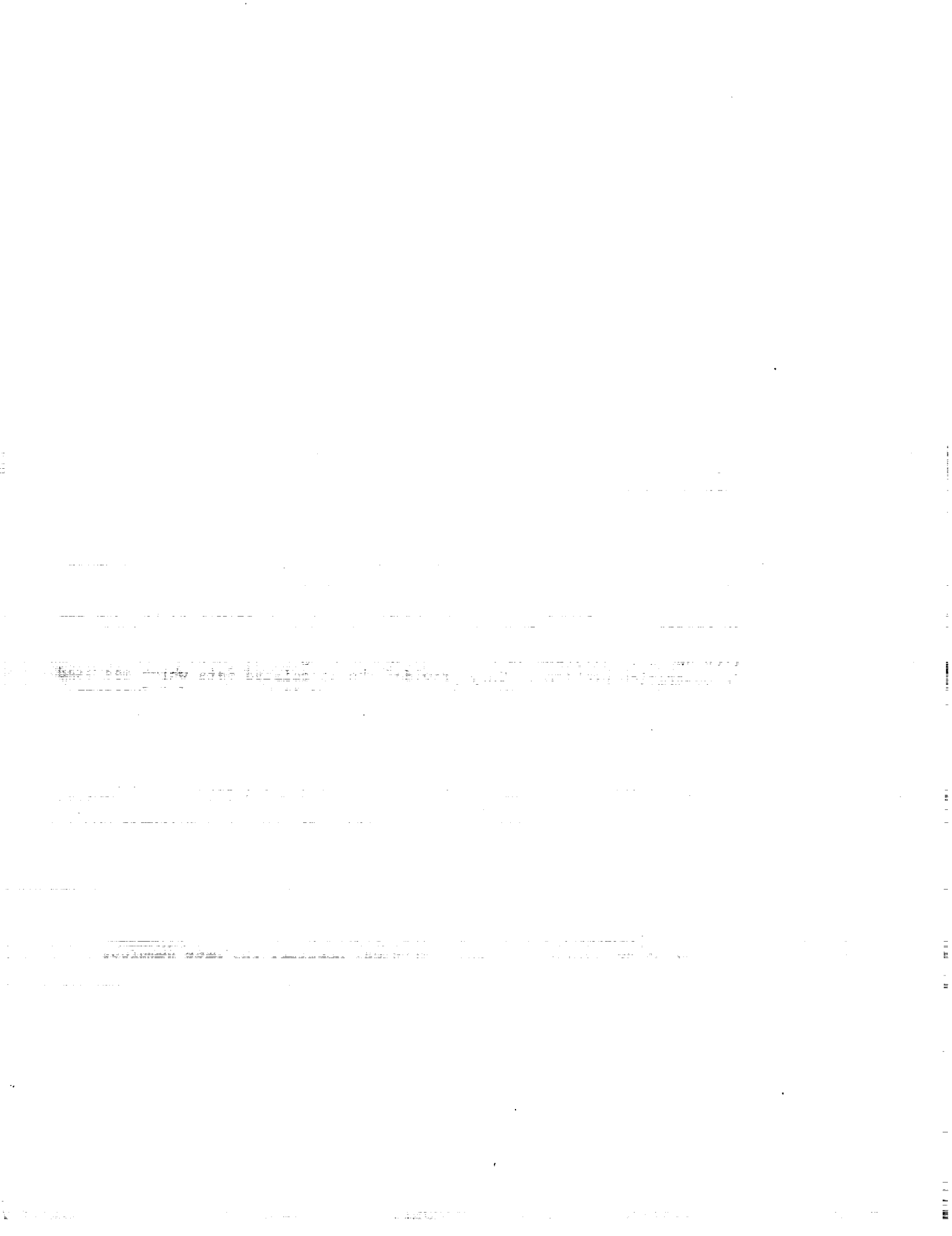
This report, prepared by the Dynamics and Loads Section, Martin Marietta Corporation, Denver Division, under Contract NAS5-11996, presents the results of a study whose purpose was to develop a computer program system for dynamic simulation and stability analysis of passive and actively controlled spacecraft. The study was performed from May 1973 to April 1975 and was administered by the National Aeronautics and Space Administration, Goddard Space Flight Center, Greenbelt, Maryland, under the direction of Mr. Joseph P. Young.

The report is published in four volumes:

- Volume I - Theory
- Volume II - Program Users' Guide
- Volume III - Demonstration Problems
- Volume IV - Program Listing

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ABSTRACT

A theoretical development and associated digital computer program system for the dynamic simulation and stability analysis of passive and actively controlled spacecraft is presented. The dynamic system (spacecraft) is modeled as an assembly of rigid and/or flexible bodies not necessarily in a topological tree configuration. The computer program system may be used to investigate total system dynamic characteristics including interaction effects between rigid and/or flexible bodies, control systems, and a wide range of environmental loadings. Additionally, the program system may be used for design of attitude control systems and for evaluation of total dynamic system performance including time domain response and frequency domain stability analyses.

Volume I presents the theoretical developments including a description of the physical system, the equations of dynamic equilibrium, discussion of kinematics and system topology, a complete treatment of momentum wheel coupling, and a discussion of gravity gradient and environmental effects.

The development of synthesis and analysis techniques for the linearized system includes a discussion of the numerical linearization technique, procedures for definition of system transfer functions, and linear time domain response.

Volume II is a program users' guide and includes a description of the overall digital program code, individual subroutines and a description of required program input and generated program output.

Volume III presents the results of selected demonstration problems that illustrate all program system capabilities.

Volume IV contains a listing of the digital code.

I. PROGRAM SYSTEM OVERVIEW

This volume is intended to provide the reader with sufficient understanding of program system DISCOS* and its capabilities so as to permit a user to employ the program as a basic tool to analyze the behavior of a wide range of dynamical problems. Specific emphasis will be on a simulation for multiply-inter-connected spinning elastic bodies responding under the combined influences of external environments and either active or passive control.

A. INTRODUCTION

The simulation employs a state-space approach that was developed in detail in Volume I. The state-space formulation provides an attractive basis for simulation of nonlinear dynamical problems in a general sense as well as permitting linearization of the governing equations to provide an additional foundation with which to evaluate frequency domain and linearized time domain characteristics.

An attempt has been made to relieve the user from the requirement of having to communicate with the digital program via large amounts of bulk data input. Although the program has many options available, the program data stream has been organized to require only a minimal amount of basic input data for a particular simulation. The data requirements have been further consolidated in a manner that is quite definitive for the physical system being simulated. In summary, the user can quite easily relate to the particular elements of the program requirements and thus minimize setup time required to prepare data input for a given problem. In addition, a set of self-checking features has been included in an attempt to identify and check certain compatibilities that are necessary for a proper simulation of a physically realizable system.

In an overall sense, the digital program can be employed by the user to obtain

1. nonlinear time response,
2. interaction constraint forces,

* Dynamic Interaction Simulation of Controls and Structure

3. total system resonance properties,
4. frequency domain response and stability information,
5. linearized time response.

The program outputs consist of printed and plotted results depicting

1. dynamic model construction,
2. time domain response,
3. frequency domain characteristics.

The printed outputs are of a fixed form while the user controls the plotted information through the input data stream.

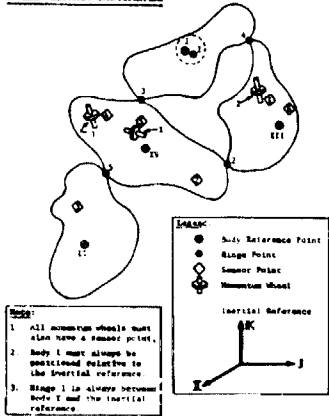
B. SIMULATION OVERVIEW AND NOMENCLATURE

This discussion identifies the basic nomenclature used to synthesize a typical assembly of interconnected bodies. The theoretical development, program users' manual, and demonstration problems make extensive reference to various terminologies that are clarified here. Figure I.B-1 provides a visual display that illustrates many of the items being discussed and will be repeatedly referred to in the ensuing discussions.

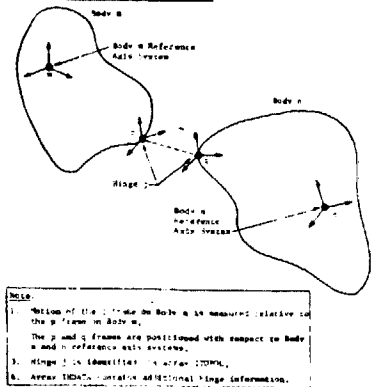
The overall system "topology" is identified by the user via the input integer array ITOPOL that contains the necessary information describing which "hinges" interface which bodies. Each body contains a body reference point that is the origin of an orthogonal cartesian body axis system. This point need not coincide with the body center of mass.

Contiguous "bodies" are interfaced through a "hinge". We say interfaced in lieu of connected to emphasize the fact that the common "hinge" point between contiguous bodies may actually permit relative translational motion of the two bodies at the hinge. The degree of fixity at the hinge is identified by the user via the input integer array IHDATA. A typical body may contain "sensor" points that identify particular points where additional information is required to complete the desired simulation. A sensor point might sense on position or rate for the control system inputs, but could also represent a point on a body where certain other information is desired, such as a momentum wheel location or a point of force/torque application.

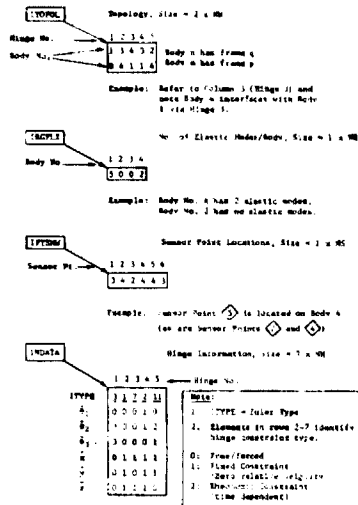
TYPICAL RELATIVE COMPLICATIONS



TYPICAL TWO BODY/HINGE POINT ARRANGEMENT

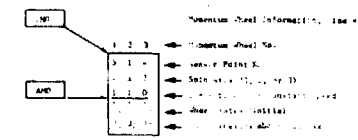


PROGRAM SIMULATION INDEXER ABILITY

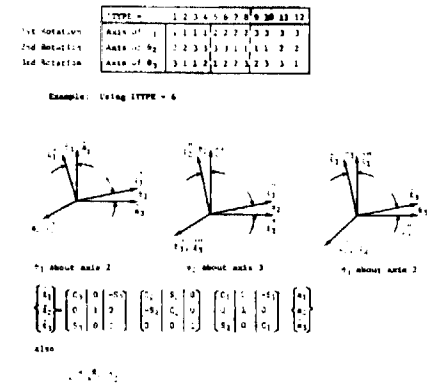


Additional Remarks:

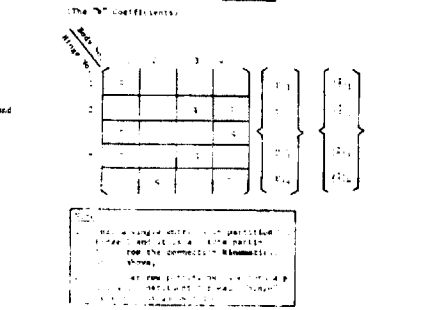
- The number of holes in the state vector equals the sum of "terms" plus the sum of the "twos" (including the 1) in the array.
- The number of joints (constraints) equals the number of "twos" excluding row 1 in the array.



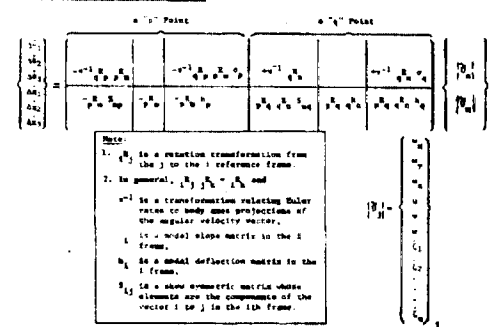
RULES ANGLE FORMULATION CANDIDATES



CONSOLIDATION OF KINEMATIC COEFFICIENTS

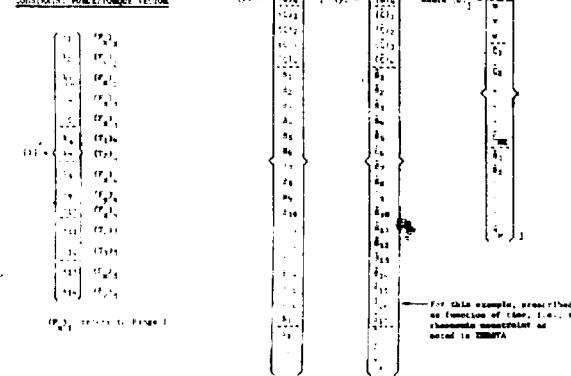


CORRECTION KINEMATICS - TYPICAL ERROR



STATE VECTOR ARRANGEMENT

CONSTRAINT FORCE/TORQUE VECTOR



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Figure I.B-1 Simulation Nomenclature 1-3 and 1-4

The integer input array IFTSMW identifies the body, where a particular sensor point is located.

A body may also contain "momentum wheels". This special consideration accommodates a disk or rotating mass with a single relative rotational degree of freedom into the simulation without introducing another body. The momentum wheel capability is more efficient for the simulation of a single degree of freedom rotating mass than is constraining 5 of 6 rigid body degrees of freedom via constraint equations. All momentum wheels must have an associated sensor point. A wheel may either be active or constant speed; an active wheel has a variable spin rate and receives an input torque (generally via some sensor output relationship) and a shaft torque is applied to the wheel inducing a wheel angular acceleration. The array IMO identifies whether or not the wheel is active, and which axis is the spin axis. The reference axis for the wheel is the same as the sensor point axis system where the wheel is located. The array AMO identifies the wheel spin rates (initial rate only for the active wheel) and the wheel spin inertia about the spin axis.

The system state vector is arranged in a specific manner within the program and it is necessary for the user to be very familiar with this arrangement for a number of reasons. First, the user must know where certain variables are located so that he can couple the control law into the simulation, and secondly, the user must know the order of the state variables in order to interpret results. Figure I.B-1 presents the state variable order consistent with the illustrative problem and other related information. The state variables shown do indeed represent a typical arrangement in that all of the various types of variables resulting from the multiple options available within the simulation are present. The order of the constraints (λ) is also noted. Note that the user introduces the control variables into the state vector but these variables (δ) will always appear after the betas (β). Furthermore, the user may also introduce auxiliary variables (plant sensor signals and control system outputs) for use in the linearized studies. These auxiliary variables should be placed (by the user) after the control variables (δ) and in the order: plant sensor signals (X_{SS}) followed by the control system outputs (B).

C. GENERAL USAGE INFORMATION

There are a number of guidelines that must be adhered to in setting up a particular simulation. Some were detailed previously and are concisely summarized here:

1. there must be at least two bodies; a single body problem is simulated by including a dummy body that is not connected to the body to be analyzed;
2. body no. 1 is always positioned relative to the inertial reference;
3. bodies are numbered from 1 to NB in an arbitrary order;
4. every body (except body 1) must have at least one hinge; body 1 must have at least two hinges;
5. hinges are numbered from 1 to NH in an arbitrary order but hinge no. 1 is, by definition, the hinge on body 1 between body 1 and the inertial origin; hence, hinge no. 1 can only appear on body 1;
6. there must be at least one sensor point for a given simulation;
7. sensor points are numbered from 1 to NS in an arbitrary manner;
8. a typical flexible body requires mass and modal data that reflects a coordinate system that is consistent with the body axis reference system for that body, e.g., a modal coupling approach **establishing** modal properties for a given body would have to use the same reference body axis system;
9. for frequency domain studies, there can only be as many control output variables identified to introduce into the state equations as there are control system variables to begin with. Similarly, there can be no more sensor signal variables identified than plant variables which appear in the original independent state equations.
10. the user must make certain that the user supplied package has dimensions consistent with NPMAX for the arrays

SK(NSK, NHMAX), DK(NDK, NHMAX), and HNGT(NHT, NHMAX)

where NHMAX = dimensioned maximum number of hinges,

NSK = 3 or 6 depending upon nature of hinge freedom,

NDK = 3 or 6 depending upon nature of hinge freedom,

NHT = 3 or 6 depending upon nature of hinge freedom,

and if rotation only, then $NSK = NDK = NHT = 3$, if rotation and translation, then $NSK = NDK = NHT = 6$;

11. the inertial properties of all the momentum wheels in a particular body must be included in that body's inertia description (whether rigid or flexible) since inertial coupling is used.

II. PROGRAM SEGMENTATION

The digital code has been segmented into an executive overlay which governs the succeeding program flow and four supporting primary overlays, each with a separate and dedicated purpose. The basic program flow is depicted in Figure II.A-1.

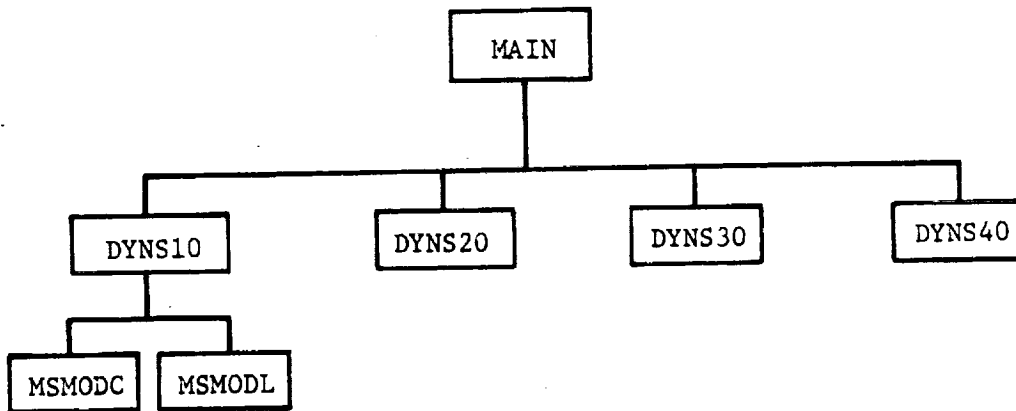


Figure II.A-1. DISCOS Program Segmentation

Table II.A-1 summarizes the intended purpose of the fundamental components in the program structure.

Table II.A-1 DISCOS Overlay Description

Primary Overlays	
Segment Name	Purpose
MAIN	Executive program control
DYNS10	Data input
DYNS20	Simulation of problem, linearization of state eq's, nonlinear time response
DYNS30	Plot results from nonlinear or linearized time response
DYNS40	Frequency domain analysis, linearized time response, frequency domain displays, (Bode, Nichols, Nyquist, Root Locus)
Secondary Overlays (called from DYNS10)	
MSMODL	Flexible body data inputs for lumped mass representation
MSMODC	Flexible body data inputs for consistent mass representation

The executive overlay (MAIN) initiates the simulation by reading job identification information and then passes control to the first primary overlay (DYNS10) which represents the basic data input segment. This overlay may be viewed as the program segment which builds the model from the input data. A series of topology checks are made as the data is loaded within this overlay to better assure proper modeling of the physical system. This overlay utilizes two additional secondary overlays for processing certain types of inertial and modal data.

After overlay DYNS10 has structured the basic data for simulation, control is returned to the executive overlay which in turn passes control on to the second overlay DYNS20. This overlay performs the actual problem mechanization and develops the nonlinear formulation which is the foundation for the entire dynamic simulation program.

During a given simulation, the executive overlay always calls both the first and second primary overlays (DYNS10 and DYNS20) but, depending upon certain input control parameters, may or may not call the time history plot overlay DYNS30 or the linearized system analysis overlay DYNS40.

Simulation of a particular problem has its basis within the algorithms contained in the program subroutine YDOT which establishes the canonical first-order differential equations that govern the dynamical motion. This routine in turn addresses another subprogram TORQUE which in turn activates the user supplied modules that relate to the particular simulation being considered. These modules are discussed in further detail in a following section.

III. DELINEATION OF USER-SUPPLIED MODULES

The program has been written under the assumption that certain user-supplied modules are available to complete a given problem. In this manner, the user has considerable latitude with regard to how certain particulars related to a given simulation are to be handled. Control law specification, external torque inputs, and identification of plant sensor signals and control system outputs are examples of items handled by the user. With this concept in mind, several subprograms have been placed under user control but with certain restrictions and guidelines to which the user must adhere. Later comments will identify certain requirements associated with these user supplied modules.

A. LOGIC FLOW

It is worthwhile to consider a flow chart segment of the program (Figure III.A-1) and its chronology within the solution process. The order which the user supplied modules are called is indicated by the integers 1 through 7 (for subroutines) and 8 and 9 for functions.

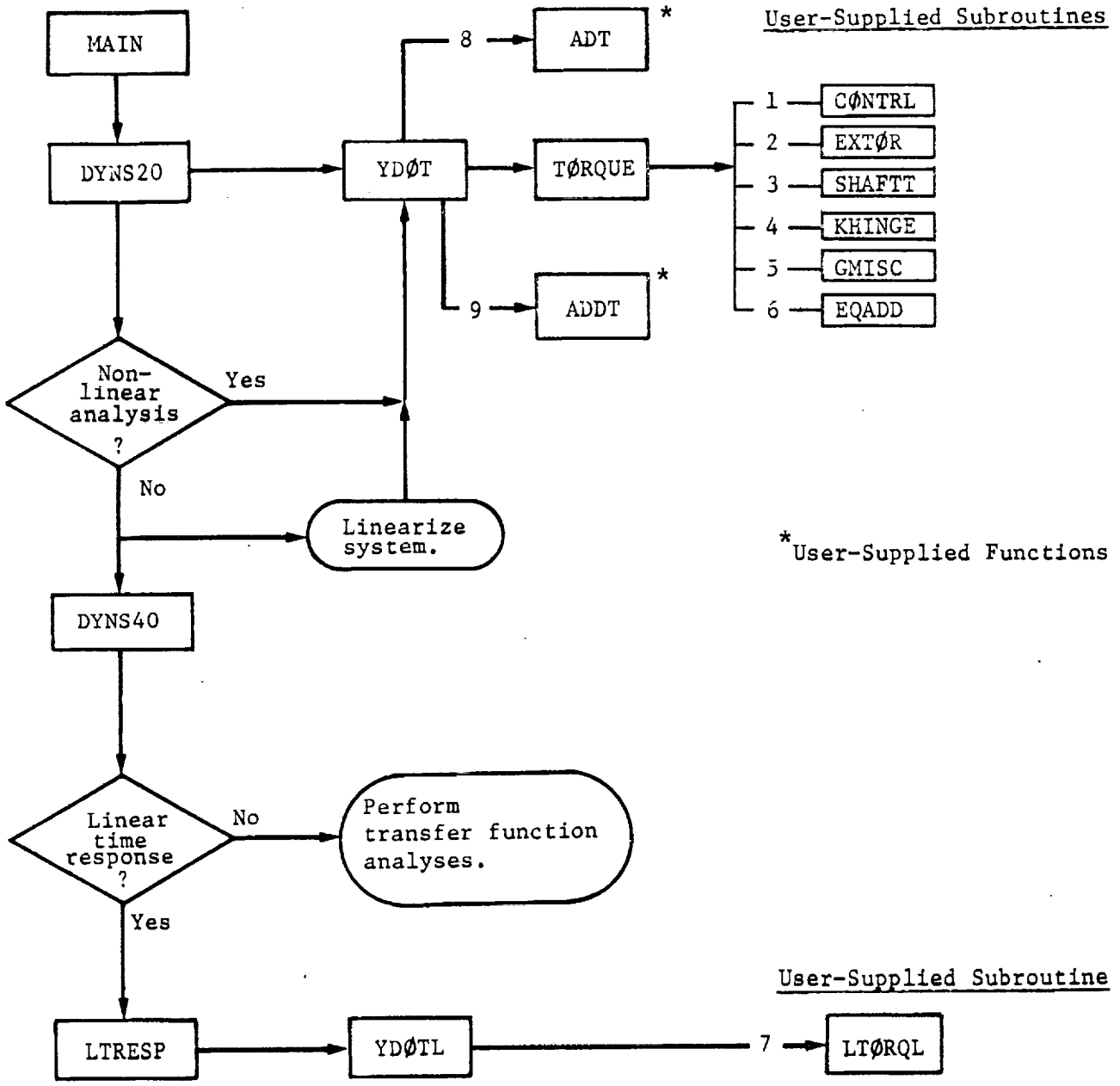
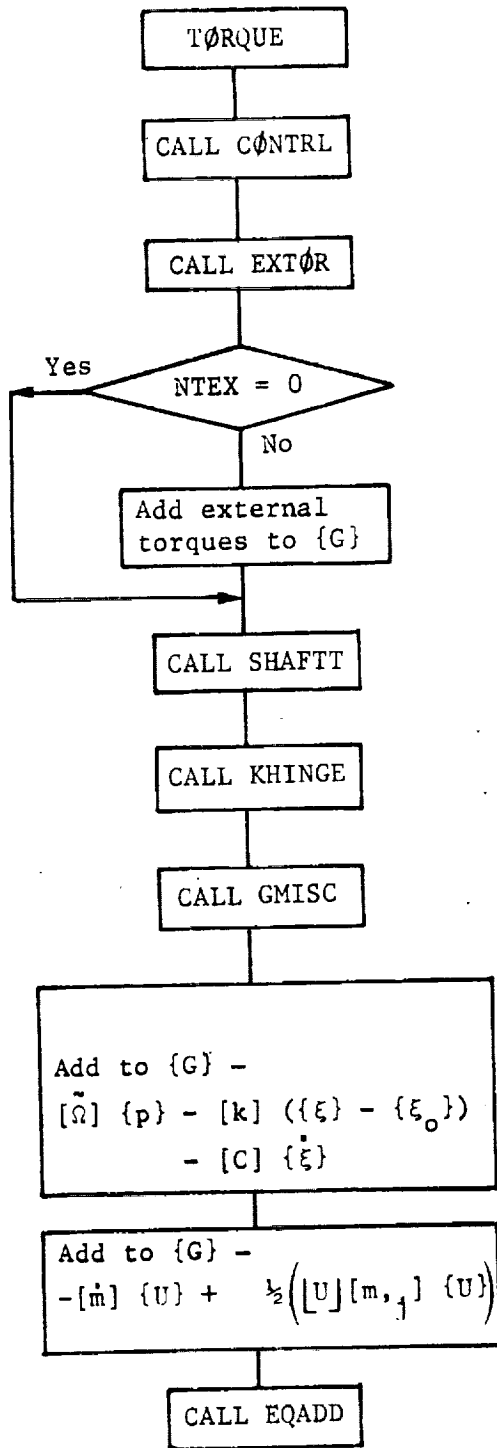


Figure III.A-1 Chronology of Addressing User-Pak

B. SPECIFICS RELATED TO USER-SUPPLIED MODULES

The separate user supplied subprograms each have specific intended purposes and have been coded to fulfill these goals. The user can extend the scope of any of these modules with his own code, but there are certain items that these routines must perform. In any case, the potential user should be very familiar with many of the details of the user supplied package, and it is with this fact in mind that a separate discussion will now be devoted to each of the user supplied modules. Reference will be made to some of the programming logic contained in the DISCOS subroutine TORQUE, and so this logic has been put into flow chart form as Figure III.B-1. Also, for reference purposes, the seven user-pak subroutines and two subfunctions (ADT, ADDT) are included in Appendix B corresponding to typical situations.

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Creates external torques/forces

Note: {G} is force/torque vector ~ RHS of equation of motion

Adds momentum wheel shaft torques to {G}

Adds hinge spring torques to {G} and sums spring energy to potential energy

Gets $\Delta\xi$ due to thermal environment

Now have RHS of equations of motion

Creates additional equations for similarity transformation (used in linearization and stability package)

Figure III.B-1 Subroutine TØRQUE Flow Diagram

1. CØNTRL

This is the first of the user-supplied routines and is always called by DYN20. The primary purpose of CØNTRL is to establish the time derivatives of the control system variables. These variables may be required by some of the other user routines that are activated after CØNTRL has been addressed. The routine must also establish the number of plant sensor signals (NXSS) and the number of control system outputs (NBTQ) which are transmitted through common block (/LDSIZE/) to the remainder of the program. For transfer function studies, the user is also required to identify whether or not transfer function polynomials are to be utilized. This is accomplished in a data statement (in CØNTRL) with the variable NPLY which is the number of polynomial ratio pairs (numerator and denominator) to be utilized. The first call to CØNTRL will read in the polynomial coefficients (for NPLY \neq 0).

Subroutine CØNTRL contains a good deal of information pertaining to the simulation by virtue of its common blocks. Section C identifies the constituents of the common blocks contained in this and other modules. Additional common blocks can be established by the program user to transfer information between the separate user-pak modules.

2. EXTØR

This subroutine establishes the system external torques. Typically, this module can be utilized to accommodate such items as RCS (Reaction Control System) forces and torques, aerodynamics, and/or solar wind. The user can also extend this routine to include the addition of other state dependent torques. In summary, EXTØR, can be used as a "catch all" for inclusion of any additional forces and torques acting on the system. A single call to EXTØR from subroutine TØRQUE establishes an integer array (ISNP) whose elements identify which sensor points are to be used for force/torque inputs. A vector containing torque and force components (ordered: T_x , T_y , T_z , F_x , F_y , F_z) is then established for each of the force/torque sensor points and placed as a column into the array TEX. The vector of discrete forces and torques (referred to the local sensor-axis system) is returned to subroutine TØRQUE from EXTØR. These forces and torques are then transformed and added to the total system external force/torque array $\{G\}$. The user can bypass EXTØR related calculations by setting the variable NTEX equal to zero.

3. SHAFTT

This routine establishes the shaft torque for each of the non-constant speed momentum wheels. Zeros are inserted for the torque contributions to the external torque vector for a constant speed wheel.

4. KHINGE

This routine sets up hinge spring and dashpot torques/forces. It also accounts for potential energy contributions due to hinge spring deflections. The user must identify where spring rates and dashpot constants are to be found. This can easily be handled by a user specified equivalence statement within subroutine KHINGE to locate the leading stiffness and damping elements within the data block identified as CNTDTA. Note: within subroutine KHINGE (see subroutine listing, Appendix B) there are statements of the following form

```
DIMENSION SK(3, NHMAX), DK(3, NHMAX), HNGT(3, NHMAX)
```

```
      .  
      .
```

```
DO 10 I=1,3
```

```
      .  
      .
```

```
DO 15 I=1,3
```

```
      .  
      .
```

```
DO 20 I=1,3
```

```
      .  
      .
```

where the integer 3 reflects the fact that consideration has been restricted to admitting only rotational springs at each hinge. If the user wants to also include springs/dashpots in relative translation at the hinge points, the three (3) in the statements above must be changed to a six (6), and appropriate spring rates and/or dashpots included within the data input array CNTDTA. Further, the equivalence statement locating the first spring rate (SK(1)) and dashpot constant (DK(1)) reflect an order that is consistent with the hinge order; that is the first three elements in CNTDTA starting with the location corresponding to the leading element of SK represents in order K_{θ_1} , K_{θ_2} , K_{θ_3} for the first hinge. A similar relationship exists

for the array DK.

Example: In KHINGE note that

EQUIVALENCE(CNTDTA(K),SK(1)),(CNTDTA(L),DK(1))

and the array CNTDTA would be

$$\begin{array}{l}
 \text{CNTDTA} = \dots \underbrace{K_{\theta_1} \quad K_{\theta_2} \quad K_{\theta_3}}_{\text{Hinge 1 (springs)}} \dots \underbrace{K_{\theta_1} \quad K_{\theta_2} \quad K_{\theta_3}}_{\text{Hinge NH (springs)}} \dots \\
 \begin{array}{l}
 \nearrow \text{element(K)} \\
 \searrow \text{element(L)}
 \end{array} \\
 \dots \underbrace{C_{\dot{\theta}_1} \quad C_{\dot{\theta}_2} \quad C_{\dot{\theta}_3}}_{\text{Hinge 1 (dashpots)}} \dots \underbrace{C_{\dot{\theta}_1} \quad C_{\dot{\theta}_2} \quad C_{\dot{\theta}_3}}_{\text{Hinge NH (dashpots)}} \dots
 \end{array}$$

where the order of $\theta_{1,2,3}$ is consistent with the Euler rotation type (1-12) for the hinge "q" triad.

The remainder of KHINGE is concerned with the proper placement of the spring/dashpot forces and torques onto the composite NB bodies (generalization of forces and torques) and should remain unchanged.

The user can modify the referenced torques and forces immediately after the (DO 10 L=1,NH) loop if he desires, but care must be taken to assure that the proper force or torque is correctly applied to accomplish the desired result. Several of the demonstration problems (refer to Volume III) employ this process to apply control system outputs.

5. GMISC

This routine is reserved to implement torque/force contributions from thermal gradient effects. The entire state vector, along with component position and attitude information, is available via transfer through labeled common arrays. Section C provides more insight into the information contained in these common blocks.

6. EQADD

This routine establishes additional equations for use in the linearized time domain analyses. It must identify the number

of additional equations introduced via the variable NAUX (number of auxiliary equations). These equations relate plant sensor signals, X_{SS}^i and control system output forces/torques, B^i , to the system state and in the specified order. The additional variables must be placed in the state vector as the last NAUX state variables and in the order, X_{SS}^i , then B^i and they become an integral part of system transfer function evaluations.

7. LTORQL

This routine establishes the $b_{ik} U^k$ portion of the right hand side of

$$\dot{z}^i = A_{ij} z^j + b_{ik} U^k$$

which is used for the linearized time response. This corresponds to the external excitations for the transformed variables, z^i , leading to evaluation of the perturbation response.

8. ADT (Subfunction)

This function is used in conjunction with ADDT to implement prescribed kinematical motion in the hinge coordinates. With reference to Figure I.B-1, the array IHDATA(I,J), $I > 1$, may have 2 as an entry indicating that the J^{th} hinge has velocity and acceleration prescribed in that coordinate. The argument of this subfunction is: ADT(IC,T), with $IC=6*(J-1)+(I-1)$ corresponding to $IHDATA(I,J)=2$. The integer IC and the time T are passed into ADT via argument by the calling subroutine so that the velocity ($\dot{\alpha}$) may be established for the proper hinge coordinate as a function of time.

For a given rheonomic constraint, we note that both $\dot{\alpha}$ and $\ddot{\alpha}$ must be set by subfunction. Now, it is conceivable that the user knows $\ddot{\alpha}$ as the exact mathematical time derivative of $\dot{\alpha}$. It would seem that the natural thing to do would be to create ADT and ADDT subfunctions to return consistent $\dot{\alpha}$ and $\ddot{\alpha}$ respectively. This is not the best thing to do, however, because of numerical integration characteristics. The numerical integration of $\{\dot{U}\}$ reflects the use of $\ddot{\alpha}$. The resulting $\{U\}$ reflects a numerically integrated $\dot{\alpha}$ which cannot be consistent with a value obtained any way other than numerical integration. The consequences of this are seen as slight errors in motion response, but also, there is a large spurious change in system momenta.

The best way to effect rheonomic constraints is to use values of $\dot{\alpha}$ obtained from numerically integrating $\ddot{\alpha}$. This can be easily done by using additional differential equations that are accommodated in the state vector as additional "control variables" or $\{\delta\}$. Thus, after all of the actual control variable rates are established (in subroutine `CØNTRL`), one need only code additional expressions to set $\delta(\text{additional}) = \ddot{\alpha}(\text{desired})$. The statements within subfunction `ADT` merely return `ADT=Y(K)`; the state vector `Y` is available in labeled common `/VECTOR/`, and `K` corresponds to the location in `Y` where the $\delta = \dot{\alpha}$ control variable resides. Of course, `IC` must be tested such that the appropriate $\dot{\alpha} = \delta$ is returned.

9. ADDT (Subfunction)

This function is discussed with regard to its relationship to `ADT` in Section (8) above. This function has arguments: `ADDT(IC,T)`, exactly the same as `ADT`, and returns values of $\ddot{\alpha}$ for appropriate `IC` and `T` consistent with the $\dot{\alpha}$ returned by `ADT`. Note in Figure III.A-1, the chronology is such that subroutine `CØNTRL` is addressed prior to function `ADDT`. This is so that `CØNTRL` can establish a value of $\delta(\text{additional}) = \ddot{\alpha}(\text{desired})$ to put in the state vector time derivative (`YDT`, also available in labeled common `/VECTOR/`). Now, for the appropriate time `T` and `IC`, it is only necessary to set `ADDT=YDT(K)`, where again `K` corresponds to the location in `Y` where the $\delta = \dot{\alpha}$ auxiliary control variable resides.

C. DISCUSSION OF SELECTED COMMON BLOCK INFORMATION

The program user will very often have a need to access certain information that is calculated and stored within the program in order to compute specific variables required for the user supplied modules. Such information about the simulation is stored in multi-dimensional array form within labeled common blocks. These data provide a good supplement to the state variable content which has been previously discussed in that the user can extract both total and relative positions and rates for any component of the simulated dynamical system once he has a firm understanding of where certain data reside within the program. The following subsections will discuss selected common block arrays to better familiarize the potential user with their content.

1. Common block/BHBSRD/ contains three separate groups of information which the user may need to access. This information is concisely summarized in double and/or triple subscripted arrays as

BS(6,6+NMDBOD,NSPMAX)

ROL(3,3,NBMAX)

DOL(3,NBMAX)

where the following items are noted -

NMDBOD = maximum dimensioned number of modes per body,

NBMAX = maximum dimensioned number of bodies,

NSPMAX = maximum dimensioned number of sensor points.

The array, BS(i,j,k), contains the kinematical coefficients for all of the "sensor" points. The rows (subscript i=1,2...6) of the array refer to (in order: $\omega_x, \omega_y, \omega_z, u, v, w$) the components of absolute angular and translational velocity (sensor referenced) at sensor point k. The columns of the array (subscript j) refer to the j=1,2,...6 + no. of elastic modes on body containing sensor point k. Thus, in general, if we want to know the projection (the ith velocity component) onto the triad located at sensor point k, the following expression is noted

$$Vel_i = BS(i, j_1, \dots, j_L, k) \cdot \tilde{U}^j .$$

The array, ROL(i,j,k) contains the rotation transformations relating the body axis systems to the inertial reference. The elements of the array are the direction cosines between the body axes, \hat{e}_k , and the fixed inertial system, \hat{e}_0 . Subscript k denotes the body number.

The array DOL(i,k) contains the three vector components, (X, Y, Z), from the inertial reference to the body axis system, \hat{e}_k , for each body.

2. Common block /SPECIF/ contains information which the user may require. These arrays are

BETAH(6, NHMAX)
 BETAHD(6, NHMAX)
 RS(3, 3, 2*(NSPMAX))
 DS(3, 2*(NSPMAX))

where the following items are noted -

NHMAX = maximum dimensioned number of hinges,

NSPMAX = maximum dimensioned number of sensor points.

The arrays BETAH(i, j) and BETAHD(i, j) contain the hinge BETA's and rates respectively (for hinge j). The order (i subscript) is given as

$$\begin{bmatrix} \dot{\theta}_1 \\ \dot{\theta}_2 \\ \dot{\theta}_3 \\ \dot{\Delta}_1 \\ \dot{\Delta}_2 \\ \dot{\Delta}_3 \end{bmatrix}$$

where $\dot{\theta}_i$ is the ith Euler angle rate consistent with ITYPE for hinge j and $\dot{\Delta}_i$ is the ith velocity component of point q relative to point p in the p frame for hinge j.

The array RS(i, j, k) contains the rotation transformations (direction cosines) between the sensor point axis system and the body axis system (body on which sensor is located). Two sets of transformations are identified for a given sensor point. The first represents misalignment of the two triads without elastic deformation and the second includes the elastic deformation. The ordering (subscript k) proceeds as follows: the lth sensor rotation (without elastic deformation) is located at $k = 2*\underline{l} - 1$. The total rotation transformation for the lth sensor is located at $k = 2*\underline{l}$. For a rigid body, these two transformations are identical.

The array DS(i,k) contains the three components of the vector from the body axis system to the body sensor points (in the body axis system). Here again, there are two sets of vectors (rigid body and rigid body + elastic) for each sensor point. The first is for rigid body and the second includes the elastic deformation. The addressing algorithm is the same as for RS(i,j,k).

IV. PROGRAM INPUTS

The dynamic simulation program utilizes some basic data input subroutines in an attempt to standardize a large amount of the bulk data input. Additional formatted inputs have been used where it is more meaningful (and more efficient) to do so. As will be noted in the following section, there is a large amount of data input via subroutines READ and READIM. Therefore, it is useful to familiarize the reader with these two routines prior to describing overall program data input requirements.

A. DISCUSSION OF SUBROUTINES READ AND READIM

These two subprograms are structured to read matrix arrays in floating point (real) notation (subroutine READ) or fixed point (integer) notation (subroutine READIM). A thorough discussion of the routines and their supporting subroutines is contained in Appendix A. The following discussion gives a cursory overview of their usage.

The routines are activated by a FORTRAN call of the form:

```
CALL READ (A, NR, NC, KR, KC) or
```

```
CALL READIM (IA, NR, NC, KR, KC)
```

where the arguments in the call statement are

A, (IA) = floating (fixed) matrix array of size NR by NC

NR = number of rows in array

NC = number of columns in array

KR = row dimension of array in calling program

KC = column dimension of array in calling program

A call to either of these input routines requires that the data be in the following format:

1. Subroutine READ

First card - matrix name, NR, NC with format (A6,I4,I5)

Middle cards - data with format (2I5, 4D17.8)

first I5 is row number
second I5 is column number of leading D17.8 field
next 4D17.8 are elements of the array

Last card - ten zeros in columns 1 through 10

2. Subroutine READIM

First card - matrix name, NR, NC with format (A6,I4,I5)

Middle cards - data with format (2I5, 14I5)

first I5 is row number
second I5 is column number of leading I5 field
next 14I5 are elements of the array

Last card - ten zeros in columns 1 through 10

B. INPUT DATA STREAM

This section presents the program system input data stream together with the data input control logic. The approach taken herein is to first introduce an overview of the data inputs and program control logic in the form of a flow diagram (Figure IV.B-1) and to then identify the details in much the same way as the FORTRAN code accepts the data inputs. This method of presentation has been chosen as it most closely relates to the actual processing of the user inputs for a given simulation. In addition, the user can follow the program control or switching logic to determine just what data are required to complete a particular simulation.

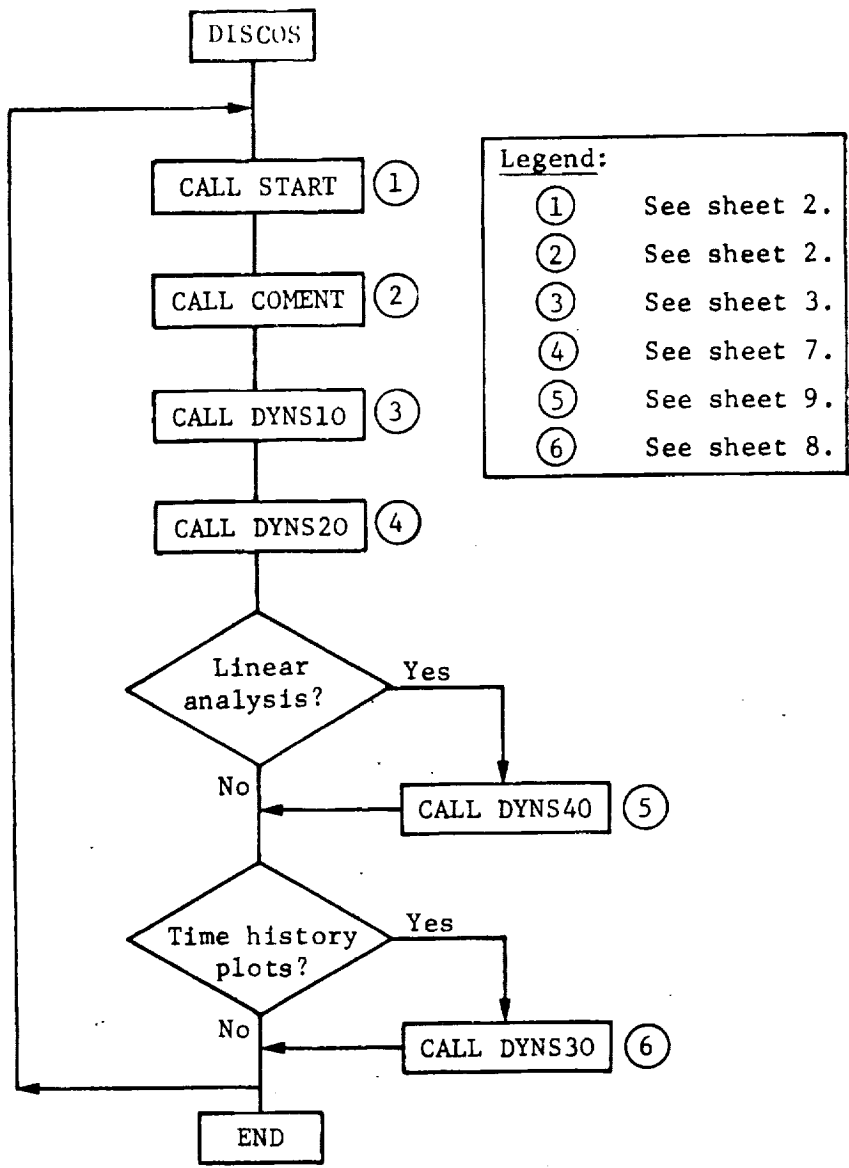


Figure IV. B-1
 Program System DISCOS Data Stream Flow (Sheet 1 of 9)

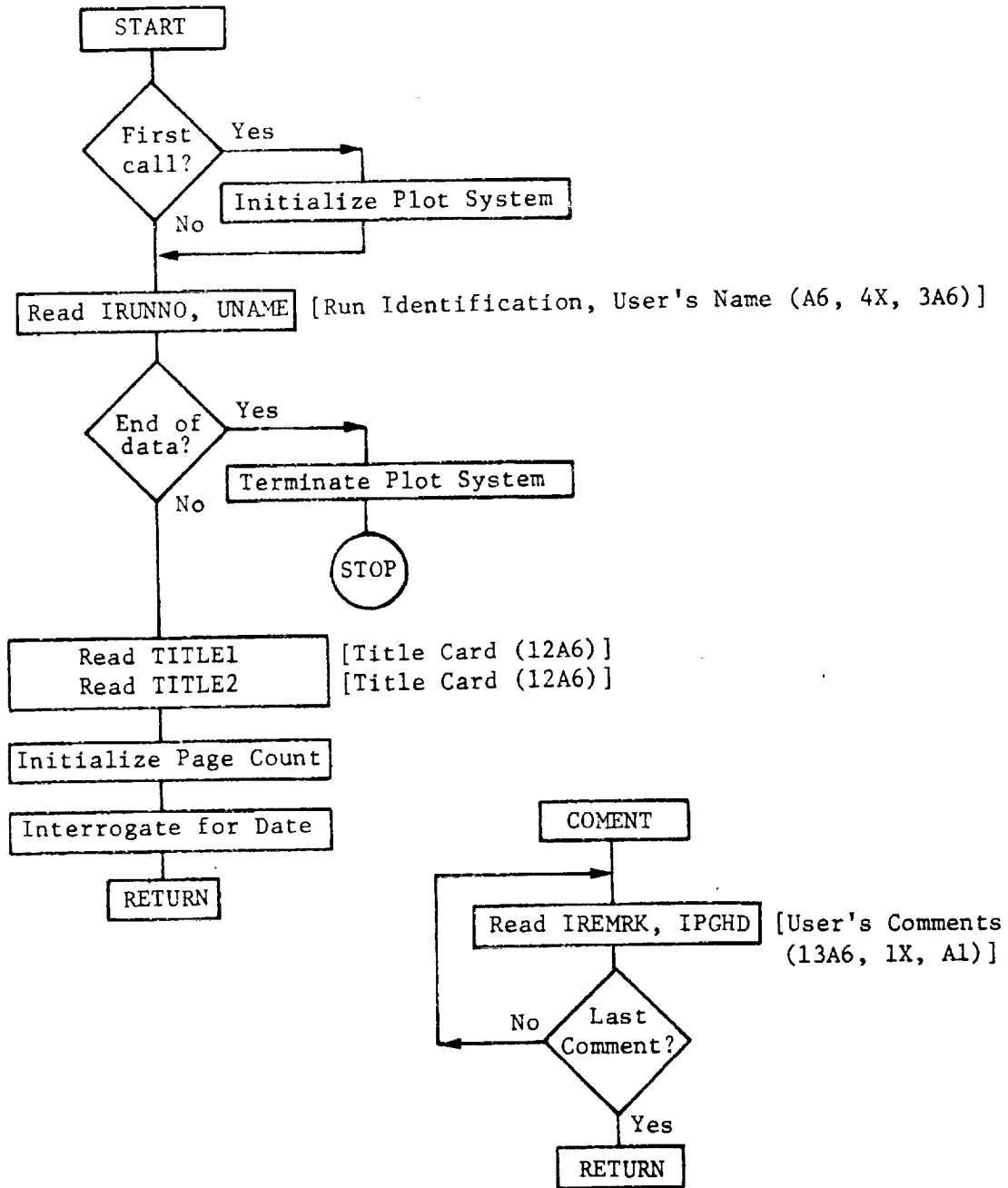


Figure IV.B-1
 Program System DISCOS Data Stream Flow (Sheet 2 of 9)

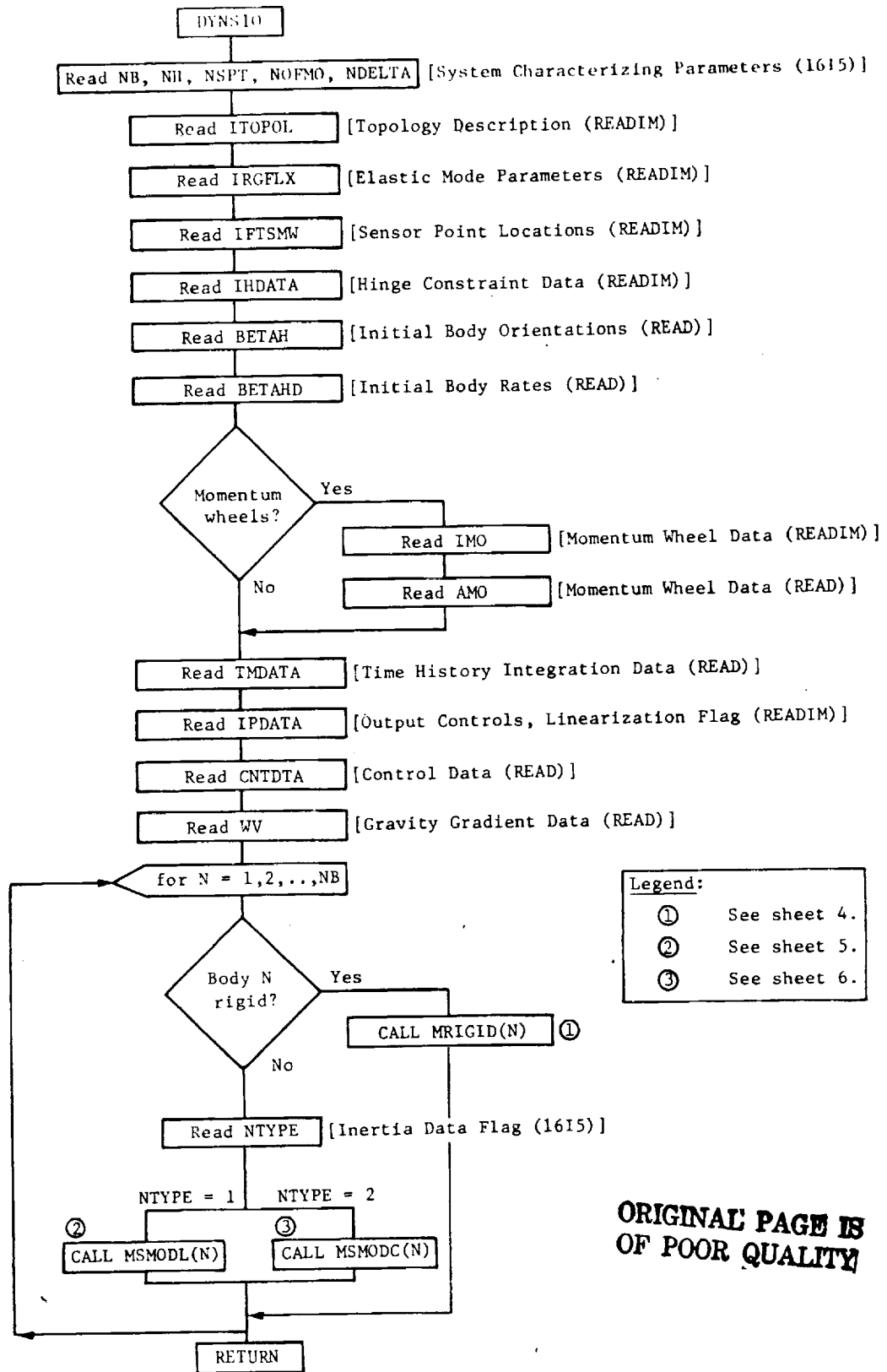


Figure IV.B-1
Program DISCOS Data Stream Flow (Sheet 3 of 9)

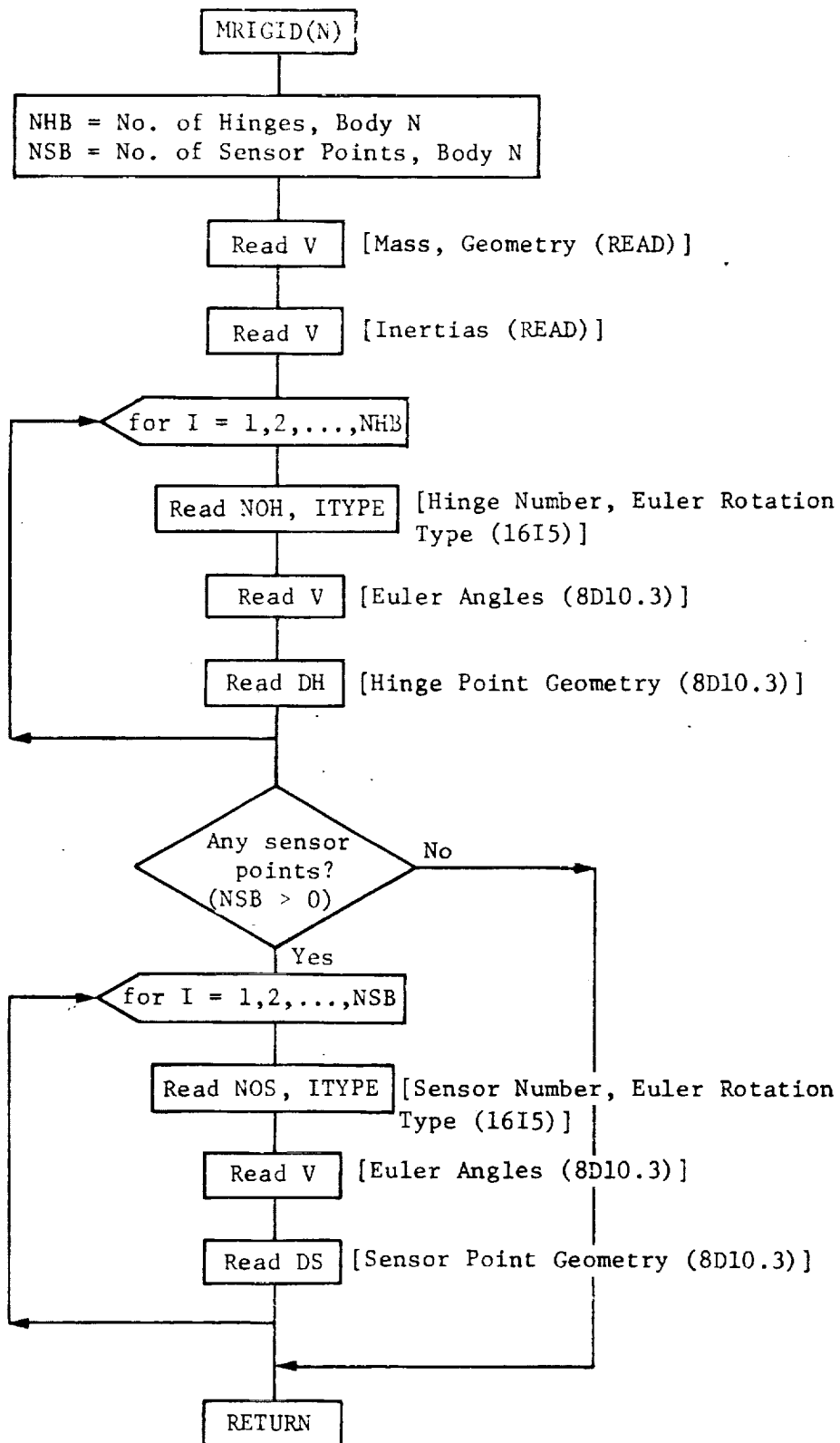


Figure IV.E-1
 Program System DISCOS Data Stream Flow (Sheet 4 of 9)

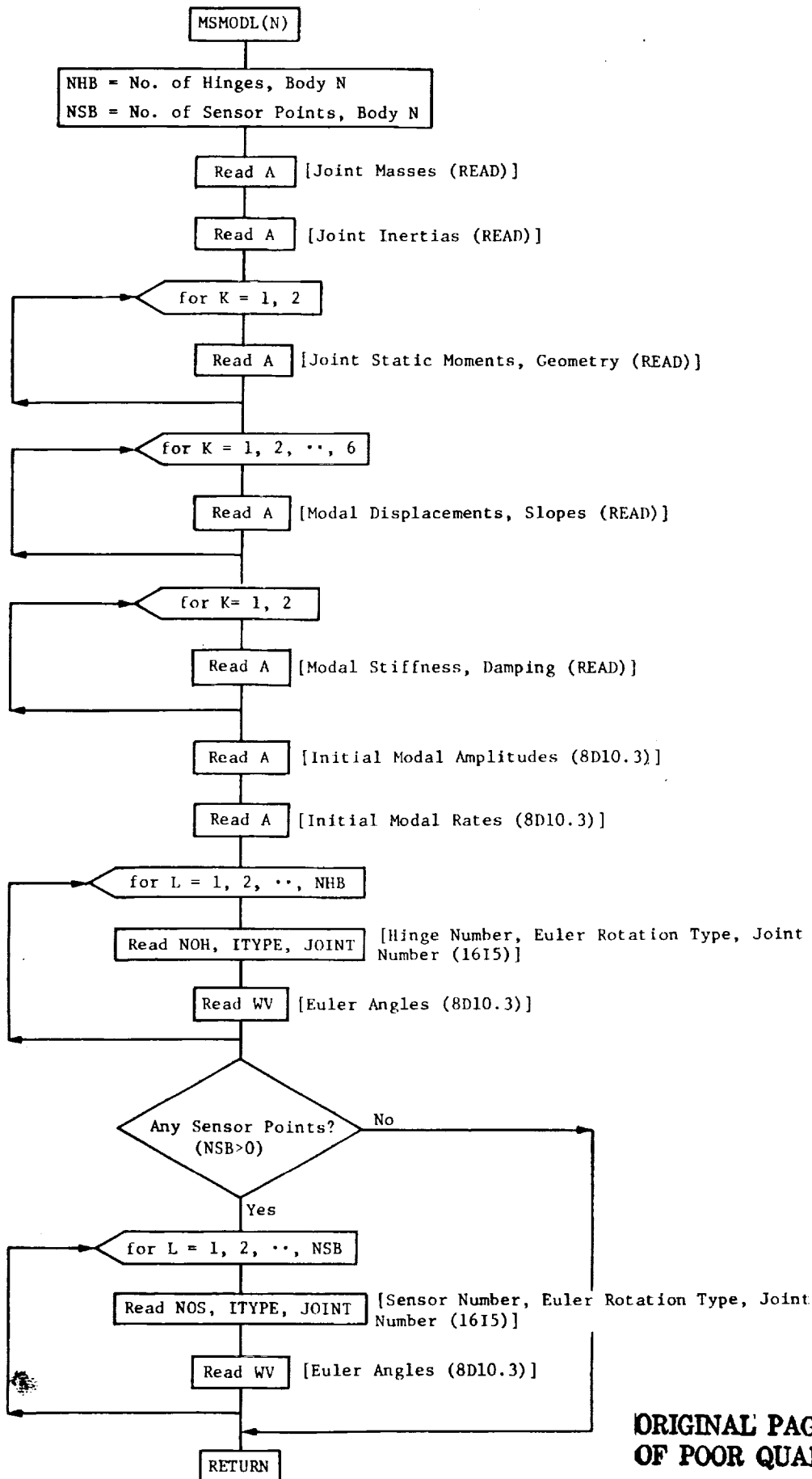


Figure IV.B-1
Program System DISCOS Data Stream Flow (Sheet 5 of 9)

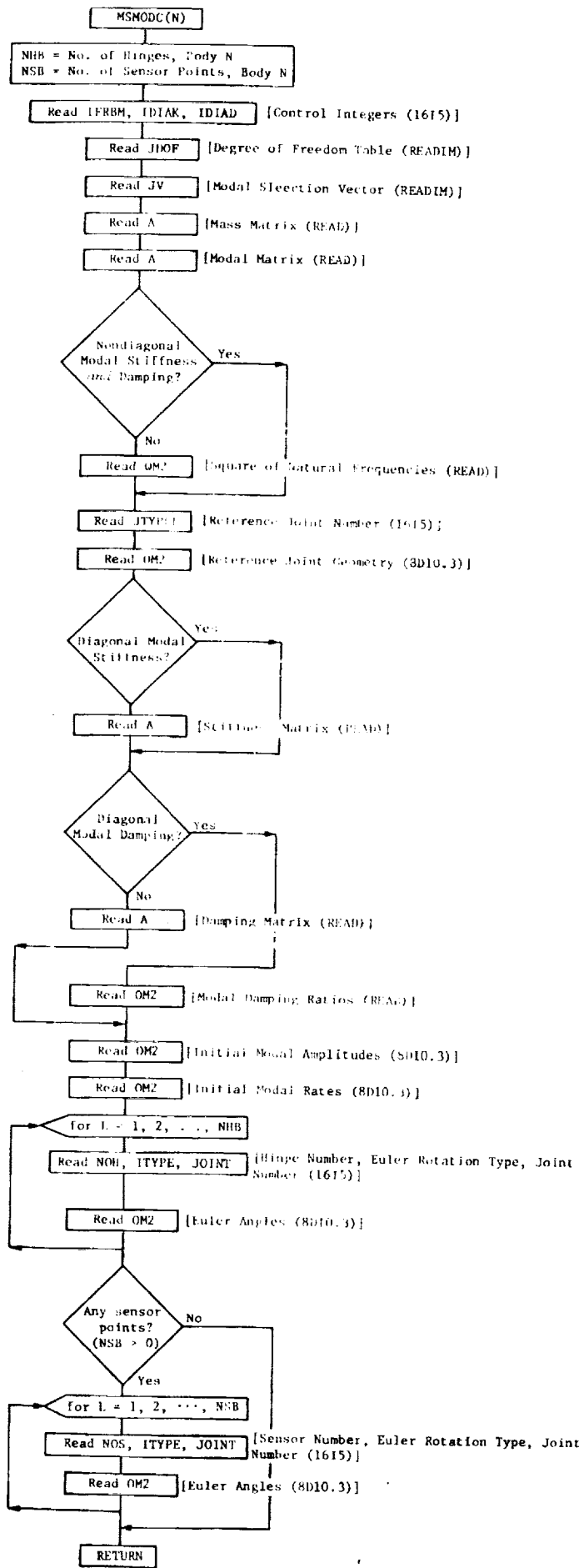


Figure 11-2-1
 Program for the VISCOUS Data Stream Flow (Sheet 6 of 9)

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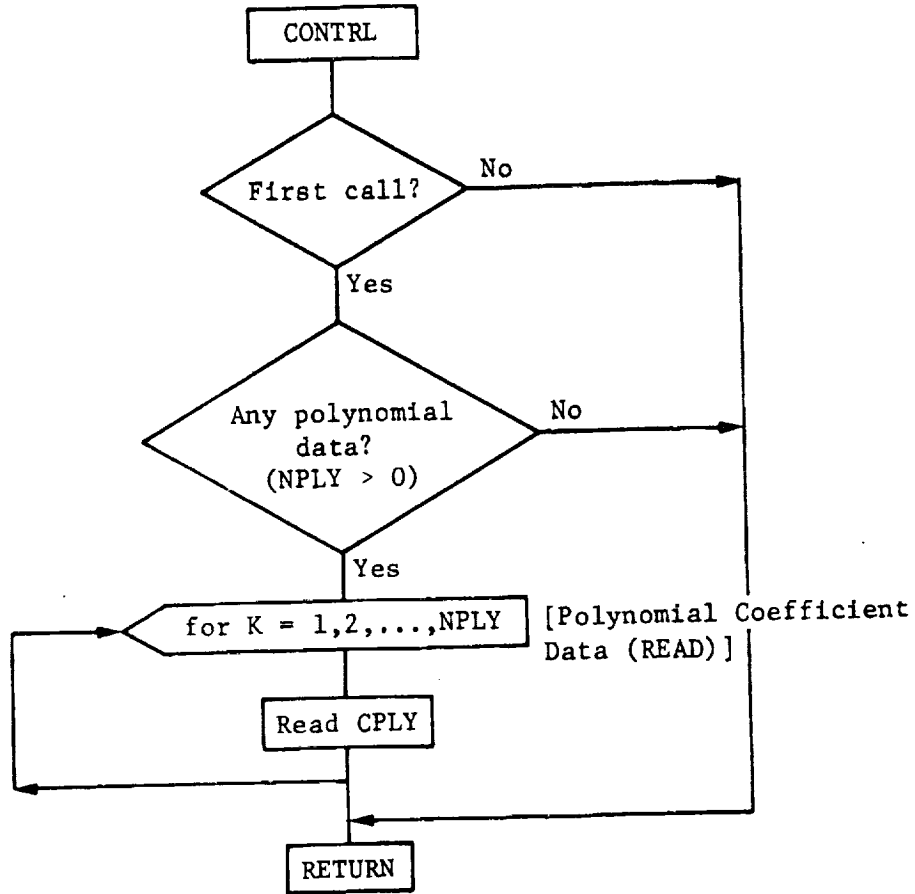
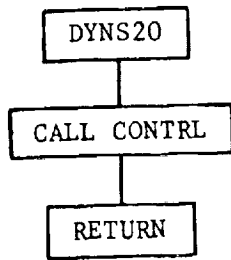


Figure IV.B-1
 Program System DISCOS Data Stream Flow (Sheet 7 of 9)

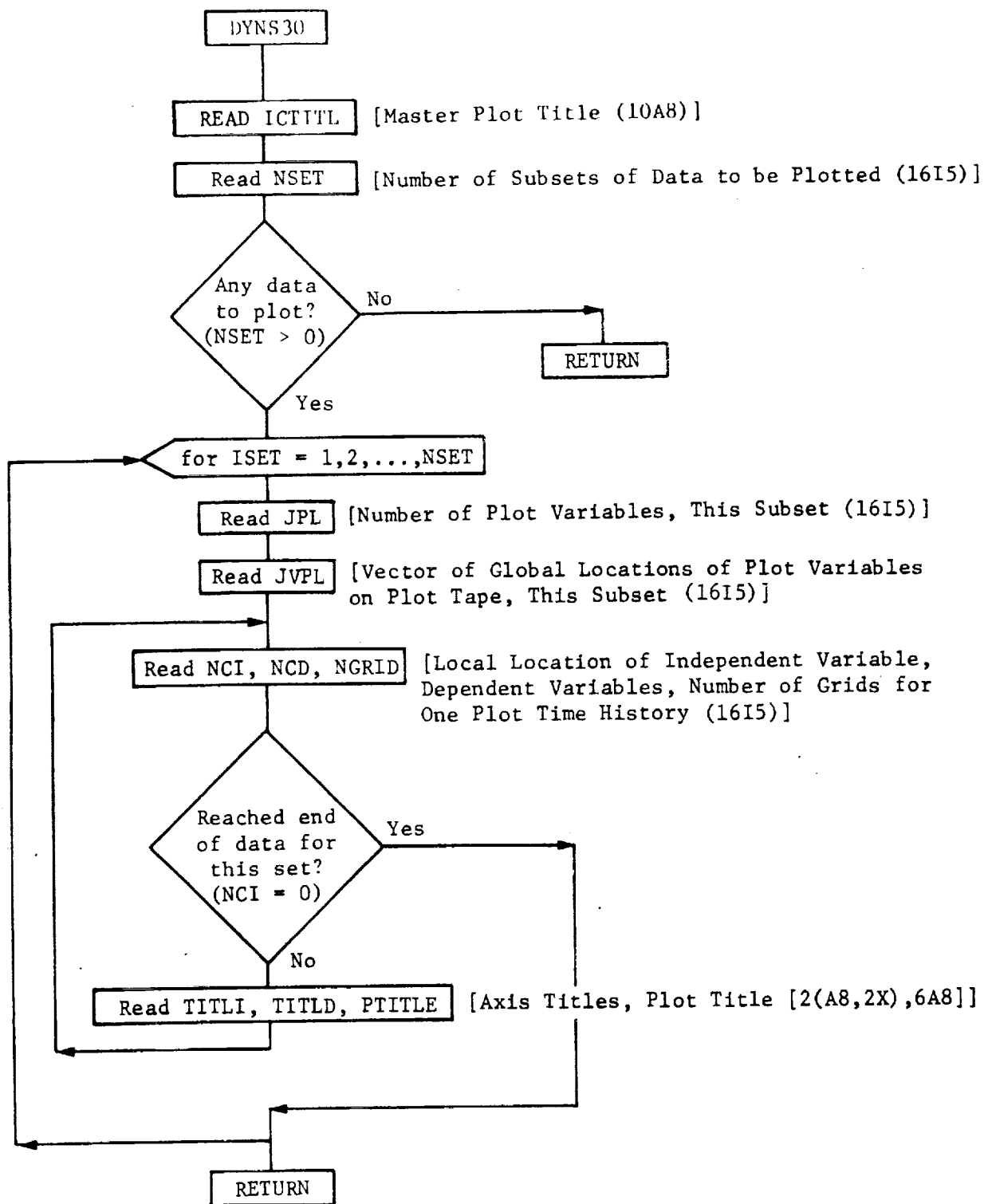


Figure IV.B-1
 Program System DISCOS Data Stream Flow (Sheet 8 of 9)

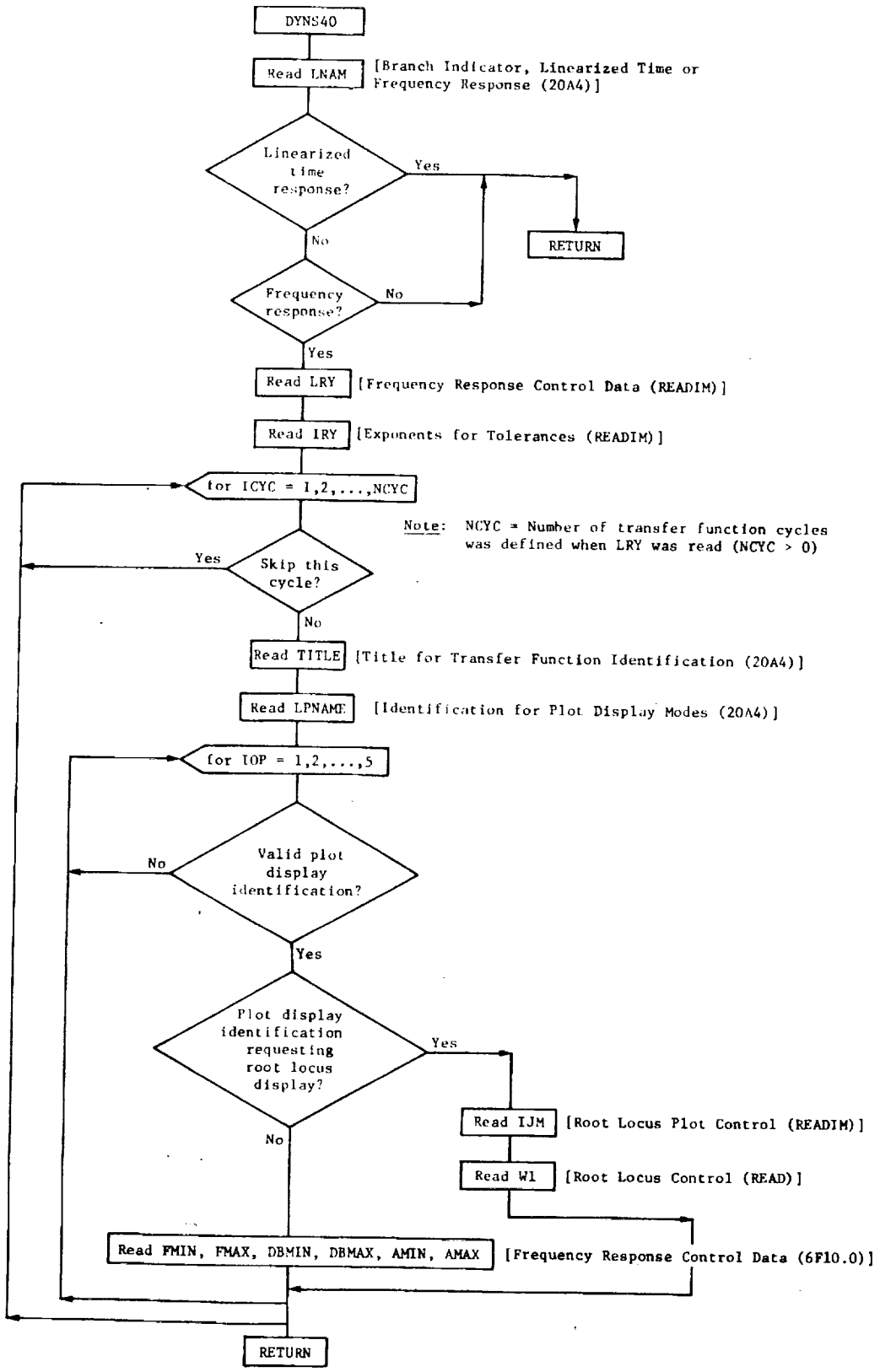


Figure IV.B-1
 Program System DYN40 Data Stream Flow (Sheet 3 of 3)
 IV-13 and IV-14

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***** DISCOS PROGRAM DATA STREAM *****

C* MAIN PROGRAM

NIT = INPUT TAPE NUMBER

----- POINTS WHERE DATA
----- IS READ INTO PROGRAM

-----999 CALL START

-----CALL COMENT

-----CALL DYN510

-----CALL DYN520

IFLNER = LINEARIZATION FLAG = IPCDATA(3)
NOPLCT = PLOT CONTROL FLAG = IPCDATA(2)

-----IF (IFLNER .EQ. 1) CALL DYN540

-----IF (NOPLCT .GT. 0) CALL DYN530

GO TO 999

END

IFISMW(J) = BODY NUMBER FOR SENSOR POINT J

FOR THE JTH SENSOR POINT -

VECTOR SIZE 1 BY NSPT TO DEFINE SENSOR POINT LOCATIONS

CALL READIN (IFISMW, 1, NSPT, 1, NSPMAX)

IRGFLX(J) = 0 - RIGID BODY
IRGFLX(J) = N - FLEXIBLE BODY WITH N MODES

FOR THE JTH BODY -

VECTOR SIZE 1 BY NR TO DEFINE NUMBER OF ELASTIC MODES

CALL READIN (IRGFLX, 1, NR, 1, NEMAX)

ITCFL(1,1) = 1 BY DEFINITION (BODY 1)
ITCFL(2,1) = 0 BY DEFINITION (INERTIAL REF)
ITCFL(1,J) = BODY N
ITCFL(2,J) = BODY N
BODY N CONNECTED TO BODY M AT HINGE J

FOR THE JTH HINGE -

MATRIX SIZE 2 BY NH TO DESCRIBE TOPOLOGY

CALL READIN (ITCFL, 2, NH, 2, NHMAX)

NUMBER OF EQUES = NB
NUMBER OF HINGES = NH
NUMBER OF SENSOR POINTS = NSPT
NUMBER OF MOMENTUM WHEELS = NCFWC
NUMBER OF ADDITIONAL DIFFERENTIAL EQS = NDELTA
EQUIPEN - CONTAINS CONTROL SYSTEM VARIABLES

CALL READIN (FORMAT = 515) NR, NH, NSPT, NCFWC, NDELTA

SUPPOTINE DYNSTIC - INPUT PRIMARY DATA

*** SUMMARY OF FULLP ROTATION TYPES ***

ITYPE	PERMUTATION ORDER
1	(1,2,3)
2	(1,2,1)
3	(1,3,1)
4	(1,3,2)
5	(2,3,1)
6	(2,3,2)
7	(2,1,2)
8	(2,1,3)
9	(3,1,2)
10	(3,1,3)
11	(2,2,3)
12	(2,2,1)

-----CALL BEARIV (IHDATA, 7, NP, 7, NPMAX)

MATRIX SIZE 7 BY NP TO DEFINE HINGE POINT
CONSTRAINT DATA

FOR THE JTH HINGE -

IHCATA(1,J) = FULLP ROTATION TYPE TO COEFFICNT 0-TORIAN
WRT TO P-TRIAD AT HINGE J (ITYPE)
IHDATA(2,J) = HINGE CONSTRAINT TYPE - THETA 1 ROTATION
IHDATA(3,J) = HINGE CONSTRAINT TYPE - THETA 2 ROTATION
IHDATA(4,J) = HINGE CONSTRAINT TYPE - THETA 3 ROTATION
IHDATA(5,J) = HINGE CONSTRAINT TYPE - X TRANSLATION
IHDATA(6,J) = HINGE CONSTRAINT TYPE - Y TRANSLATION
IHDATA(7,J) = HINGE CONSTRAINT TYPE - Z TRANSLATION

ROTATIONS REFER TO ORDER DEFINED BY ITYPE

TRANSLATIONS REFER TO P-TRIAD

IHCATA(2-7,J) = 0 - NO CONSTRAINT
IHCATA(2-7,J) = 1 - FIXED CONSTRAINT
IHCATA(2-7,J) = 2 - RHEONOMIC CONSTRAINT

NOTE -- NUMBER OF BETA STATE VARIABLES COMPUTED FROM
IHDATA AS SUM OF NUMBER OF ZEROS + SUM OF
NUMBER OF TWOS IN ROWS 2 THRU 7

NUMBER OF CONSTRAINTS COMPUTED FROM
IHDATA AS SUM OF NUMBER OF ONES + SUM OF
NUMBER OF TWOS IN ROWS 2 THRU 7

-----CALL READ (BETAH, 6, NH, 6, NHMAX)

MATRIX SIZE 6 BY NH TO DEFINE INITIAL VALUES
OF BETA WHICH ORIENT TWO BODIES ASSOCIATED
WITH EACH HINGE

FOR THE JTH HINGE -

BETAH(1,J) = THETA 1 ROTATION
BETAH(2,J) = THETA 2 ROTATION
BETAH(3,J) = THETA 3 ROTATION
BETAH(4,J) = X TRANSLATION
BETAH(5,J) = Y TRANSLATION
BETAH(6,J) = Z TRANSLATION

-----CALL READ (BETAHD, 6, NH, 6, NHMAX)

MATRIX SIZE 6 BY NH TO DEFINE INITIAL VALUES
OF BETA DOT - TIME DERIVATIVE OF BETAH
DESCRIBED PREVIOUSLY

FOR THE JTH HINGE -

BETAHD(1,J) = THETA 1 ROTATION RATE
BETAHD(2,J) = THETA 2 ROTATION RATE
BETAHD(3,J) = THETA 3 ROTATION RATE
BETAHD(4,J) = X TRANSLATION RATE
BETAHD(5,J) = Y TRANSLATION RATE
BETAHD(6,J) = Z TRANSLATION RATE

NOTE -- IF THE CORRESPONDING CONSTRAINT TYPE
IS 1 OR 2, THE INITIAL BETAHD(1-6,J),
INPUT HERE, WILL BE IGNORED AND SET TO
ZERO OR TO THE PHYSICALLY PRESCRIBED
VALUE, RESPECTIVELY


```

C-----PEAD(NIT,FORMAT = 3D10.3) (V(J),J=1,3)
C
C EULER ANGLES TO ORIENT HINGE TRIAD - PERMUTATION
C ORDER DEFINED BY ITYPE
C
C V(1) = THETA 1 (FIRST ROTATION)
C V(2) = THETA 2 (SECOND ROTATION)
C V(3) = THETA 3 (THIRD ROTATION)
C
C-----PEAD(NIT,FORMAT = 3D10.3) (DH(J),J=1,3)
C
C VECTOR TO POSITION HINGE TRIAD WRT BODY TRIAD
C
C DH(1) = Y (BODY REF POINT TO HINGE PCINT, BODY TRIAD)
C DH(2) = Y (BODY REF POINT TO HINGE PCINT, BODY TRIAD)
C DH(3) = Z (BODY REF POINT TO HINGE PCINT, BODY TRIAD)
C
C 1) CONTINUE
C
C NSP = NUMBER OF SENSOR POINTS ON BODY N
C
C IF (NSP .EQ. 0) RETURN
C
C DO 20 I=1,NSP
C
C-----PEAD(NIT,FORMAT = 2I5) NOS, ITYPE
C
C NCS = SENSOR POINT NUMBER
C ITYPE = EULER ROTATION TYPE TO ORIENT SENSOR POINT
C TRIAD WRT BODY TRIAD
C
C-----PEAD(NIT,FORMAT = 3D10.3) (V(J),J=1,3)
C
C EULER ANGLES TO ORIENT SENSOR POINT TRIAD - PERMUTATION
C ORDER DEFINED BY ITYPE
C
C V(1) = THETA 1 (FIRST ROTATION)
C V(2) = THETA 2 (SECOND ROTATION)
C V(3) = THETA 3 (THIRD ROTATION)

```


NOTE -- FOLLOWING EULER ANGLES MEASURED
IN UNDEFORMED CONFIGURATION

NH9 = NUMBER OF HINGES ON BODY N - EXCLUSIVE OF HINGE 1, BODY 1

DO 150 L=1,NH9

-----READ(NIT,FORMAT = 3I5) NH9, ITYPE, JOINT

NH9 = HINGE NUMBER
ITYPE = EULER ROTATION TYPE TO ORIENT HINGE
 TRIAD WRT BODY TRIAD
JOINT = JOINT NUMBER CORRESPONDING TO HINGE POINT

-----READ(NIT,FORMAT = 3D10.3) (WV(J),J=1,3)

EULER ANGLES TO ORIENT HINGE TRIAD - PERMUTATION
ORDER DEFINED BY ITYPE

WV(1) = THETA 1 (FIRST ROTATION)
WV(2) = THETA 2 (SECOND ROTATION)
WV(3) = THETA 3 (THIRD ROTATION)

150 CONTINUE

NS9 = NUMBER OF SENSOR POINTS ON BODY N

IF (NS9 .EQ. 0) RETURN

DO 160 L=1,NS9

-----READ(NIT,FORMAT = 3I5) NS9, ITYPE, JOINT

NS9 = SENSOR POINT NUMBER
ITYPE = EULER ROTATION TYPE TO ORIENT SENSOR POINT
 TRIAD WRT BODY TRIAD
JOINT = JOINT NUMBER CORRESPONDING TO SENSOR POINT

1
2
3
4
5
6
7
8
9
10
11
12
13
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86
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94
95
96
97
98
99
100

-----CALL READIN (JV, 1, NMODT, 1, KAP)

VECTOR SIZE 1 BY NMODT = NUMBER OF RIGID BODY MODES +
NUMBER OF ELASTIC MODES

JV(J) = IND WHERE IND IS COLUMN NO. WHICH COL(J) OF ORIG
MODAL MATRIX WILL APPEAR IN
REVISED MODE MATRIX

IND GT 0 REPLACE COLUMN
IND EQ 0 DELETE COLUMN
IND LT 0 REPLACE COLUMN, CHANGE SIGNS

-----CALL READ (A, NPA, NCA, KAP, KAR)

MATRIX SIZE 6*NX BY 6*NX CONTAINS CONSISTENT
MASS REPRESENTATION

ROW-COLUMN COORDINATE ORDER MUST BE CONSISTENT
WITH THE DEGREE OF FREEDOM TABLE, JDOF

-----CALL READ (A, NPA, NMODT, KAP, KAR)

MATRIX SIZE 6*NX BY NMODT CONTAINS MODAL DEFINITION

THE COLUMNS (MODE ORDER) WILL BE REORDERED BY
THE INPUT VECTOR JV

IF (IDIAP .EQ. 3 .AND. IDIAP .EQ. 0) GO TO 11

-----CALL READ (OM2, 1, NMODT, 1, KAR)

VECTOR SIZE 1 BY NMODT CONTAINING SQUARES OF NATURAL
FREQUENCIES

OM2(J) = SQUARE OF JTH NATURAL FREQUENCY CORRESPONDING
TO JTH INPUT MODE SHAPE

11 CONTINUE

IF (IFRPM .EQ. 0) GO TO 5

-----READ(NIT,FORMAT = I5) JTYPCL

JTYPCL = REFERENCE JOINT NUMBER WHOSE GEOMETRIC
POSITION COORDINATES WILL BE USED TO
ESTABLISH RIGID BODY MODAL MATRIX

-----READ(NIT,FORMAT = 3D10.3) (OM2(J),J=1,3)

OM2(1) = X COMPONENT OF VECTOR THAT LOCATES JTYPCL PT
OM2(2) = Y COMPONENT OF VECTOR THAT LOCATES JTYPCL PT
OM2(3) = Z COMPONENT OF VECTOR THAT LOCATES JTYPCL PT

VECTOR COMPONENTS REFERED TO BODY TRIAD

5 CONTINUE

IF (IDIAK .EQ. 1) GO TO 50

-----CALL READ (A, NRA, NCA, KA9, KAR)

STIFFNESS MATRIX -- SEE NOTE BELOW

50 CONTINUE

IF (IDIAD .EQ. 1) GO TO 60

-----CALL READ (A, NRA, NCA, KAB, KAR)

DAMPING MATRIX -- SEE NOTE BELOW

GO TO 61

60 CONTINUE

-----READ(NIT,FORMAT = 8D10.3) (DM2(J),J=1,NE)

VECTOR SIZE 1 BY NE = NUMBER OF ELASTIC MODES
RETAINED VIA INPUT JV SELECTION VECTOR

DM2(J) = MODAL DAMPING RATIO FOR JTH ELASTIC MODE

61 CONTINUE

NOTE FOR STIFFNESS AND DAMPING MATRICES

COORDINATE ORDER ASSUMED CONSISTENT WITH
 THE REORDERED COORDINATE DESCRIPTION
 AFTER THE DEGREE OF FREEDOM TABLE (JDOF)
 HAS BEEN INTERCHANGED AND THE FOLLOWING
 ORDER ESTABLISHED

- HX(I), I=1,2,...,N
-
- HY(I), I=1,2,...,N
-
- HZ(I), I=1,2,...,N
-
- TX(I), I=1,2,...,N
-
- TY(I), I=1,2,...,N
-
- TZ(I), I=1,2,...,N
-

-----REAN(NIT,FCORWAT = 9P10.3) (0M2(J),J=1,NE)

VECTOR SIZE 1 BY NE CONTAINING INITIAL
 NORMAL DEFLECTION COORDINATES

-----FEAN(NIT,FCFMAT = A110.3) (0M2(J),J=1,NE)

VECTOR SIZE 1 BY NE CONTAINING INITIAL
 NORMAL VELOCITY COORDINATES

NOTE -- FOLLOWING EULER ANGLES MEASURED
IN UNDEFORMED CONFIGURATION

NH9 = NUMBER OF HINGES ON BODY N - EXCLUSIVE OF HINGE 1, BODY 1

DO 110 L=1,NH9

-----READ(NIT,FORMAT = 3I5) NOH, ITYPE, JOINT

NCH = HINGE NUMBER
ITYPE = EULER ROTATION TYPE TO ORIENT HINGE
 TRIAD WRT BODY TRIAD
JOINT = JOINT NUMBER CORRESPONDING TO HINGE POINT

-----READ(NIT,FORMAT = 3D10.3) (OM2(J),J=1,3)

EULER ANGLES TO ORIENT HINGE TRIAD - PERMUTATION
ORDER DEFINED BY ITYPE

OM2(1) = THETA 1 (FIRST ROTATION)
OM2(2) = THETA 2 (SECOND ROTATION)
OM2(3) = THETA 3 (THIRD ROTATION)

110 CONTINUE

NS9 = NUMBER OF SENSOR POINTS ON BODY N

IF (NS9 .EQ. 0) RETURN

DO 120 L=1,NS9

-----READ(NIT,FORMAT = 3I5) NOS, ITYPE, JOINT

NCS = SENSOR POINT NUMBER
ITYPE = EULER ROTATION TYPE TO ORIENT SENSOR POINT
 TRIAD WRT BODY TRIAD
JOINT = JOINT NUMBER CORRESPONDING TO SENSOR POINT

ORDER OF VARIABLES AND
 SIZE FOR A SINGLE RECORD
 (FOR A SINGLE TIME, T).

	VARIABLE ID.	SIZE
NONLINEAR ANALYSIS	TIME	1
	YDOT	NEQ
	Y	NEQ
	LAMBDA	NLAM
	U	NU
	HX, HY, HZ, PX, PY, PZ	6*NP
	TOTAL ANGULAR MOMENTUM VECTOR COMPONENTS (X,Y,Z).	3
	TOTAL LINEAR MOMENTUM VECTOR COMPONENTS (X,Y,Z).	3
	BODY KINETIC ENERGIES.	NR
	BODY POTENTIAL ENERGIES.	NR
TOTAL ANGULAR MOM., TOTAL LINEAR MOM., TOTAL K.E., TOTAL P.E., TOTAL ENERGY	5	
LINEAR ANALYSIS	TIME	1
	YDOT	NEQ
	Y	NEQ

INERTIAL
FRAME.

NOTE - PROGRAM EXTRACTS ROOTS FOR BOTH
AF AND ITS TRANSPOSE. THIS SERVES
AS A SORT OF SELF CHECK ON THE
ROOT QUALITY. ALTHOUGH IT IS A
RAPE OCCURRANCE, ROOTS FROM AF
TRANSPOSE CAN BE -CLEANER- THAN
THOSE OBTAINED FROM AF.

LRV(6,J) = NO. OF R VARIABLES TO FEED BACK -- ITYPE = 7
MAX OF 3 R VARIABLES CAN BE FED BACK FOR
THE TYPE 7 PSEUDO OPEN LOOP
TRANSFER FUNCTION.

LRV(7,J) = LOCAL ID. OF FIRST R TO RETAIN.

LRV(8,J) = LOCAL ID. OF SECOND R TO RETAIN.

LRV(9,J) = LOCAL ID. OF THIRD R TO RETAIN.

-----CALL RFADIM (IRV, 3, NCYC, 3, KR)

MATRIX SIZE 3 BY NCYC DEFINING EXPONENT FOR
TOLERANCES TOL = (10.)**EXP

FOR THE JTH CYCLE -

IRV(1,J) = ROOT TOLERANCE EXPONENT

IRV(2,J) = GAIN TOLERANCE EXPONENT

IRV(3,J) = ROOT TOLERANCE EXPONENT USED TO
REMOVE SHIFT FREQUENCY (SUBROUTINE NUMS)

NOTE - IF ROOT OR GAIN LE TOL, SET
ROOT OR GAIN EQ 0.

DO 500 ICYC=1,NCYC
IF (ITYPE .EQ. 5) GO TO 500

-----READ(NIT,FORMAT = 20A4) (TITLE(I),I=1,20)

80 CHARACTER TITLE FOR TRANSFER FUNCTION IDENTIFICATION

-----READ(NIT,FORMAT = 5A4) (LPNAME(I),I=1,5)

LPNAME(I) PERMITS UP TO 5 FOUR CHARACTER IDENTIFICATIONS WHICH SELECT THE PLOT DISPLAY MODE.

LPNAME(I) = 4H (ALL PLANK) NO DISPLAYS ARE IMPLEMENTED --- GO TO 500 THE CHARACTERISTIC ROOTS FOR THE SYSTEM ARE FOUND.

- LPNAME(I) = 4HRODE ONLY A BODE DISPLAY.
- = 4HNICH ONLY A NICHOLS DISPLAY.
- = 4HNYQU ONLY A NYQUIST DISPLAY.
- = 4HNTHY BOTH NICHOLS AND NYQUIST.
- = 4HBCMA GIVES BODE, NICHOLS, NYQUIST.
- = 4HROOT GIVES A ROOT LOCUS DISPLAY.

NO 500 ICF=1,5

IF (LPNAME(IOP) .EQ. 4H) GO TO 500

IF (LPNAME(ICP) .EQ. 4HBODE
*.OR. LPNAME(ICF) .EQ. 4HNICH
*.OR. LPNAME(ICF) .EQ. 4HAYOU
*.OR. LPNAME(IOP) .EQ. 4HMNY
*.OR. LPNAME(ICF) .EQ. 4HECNN) GO TO 200

IF (LPNAME(IOP) .EQ. 4HROOT) GO TO 300

200 CONTINUE

*** FREQUENCY RESPONSE SECTION ***

-----READ(NIT,FORMAT = 6F10.0) FMIN, FMAX, DBMIN, DBMAX, AMIN, AMAX

FMIN = FREQUENCY SWEEP LOWER LIMIT
FMAX = FREQUENCY SWEEP UPPER LIMIT
DBMIN = MINIMUM DB AMPLITUDE FOR BODE, NICHOLS PLOTS
DBMAX = MAXIMUM DB AMPLITUDE FOR BODE, NICHOLS PLOTS
AMIN = MINIMUM AMPLITUDE FOR NYQUIST PLOTS
AMAX = MAXIMUM AMPLITUDE FOR NYQUIST PLOTS

GO TO 500

300 CONTINUE

*** ROOT LOCUS SECTION ***

-----CALL READIM (IJM, 2, NRLO, 2, KR)

MATRIX SIZE 2 BY NRLO FOR ROOT LOCUS PLOT CONTROL

NRLO = NUMBER OF ROOT LOCI TO PERFORM

FOR THE JTH ROOT LOCI -

IJM(1,J) = ISNIM = 1 STARTING POINT IS
OPEN LOOP ZERO.
= 2 STARTING POINT IS
OPEN LOOP POLE.
= 3 STARTING POINT IS
CLOSED LOOP POLE.

IJM(2,J) = ELEMENT LOCATION IN ROOT ARRAY
FOR STARTING ROOT LOCI.

-----CALL READ (W1, 6, NRLO, K5, K6)

MATRIX SIZE 6 BY NRLO FOR ROOT LOCUS CONTROL DATA

FOR THE JTH ROOT LOCI -

W1(1,J) = THETA(J) INITIAL SEARCH ANGLE,
NORMALLY -180. (DEGREES)

W1(2,J) = SCL SCALE FACTOR, NORMALLY
SCL = 1.0

W1(3,J) = ALOC PHASE CONTROL PARAMETER.
ALOC = +1. --- 180. DEG. PHASE.
ALOC = -1. --- 0 DEG. PHASE.

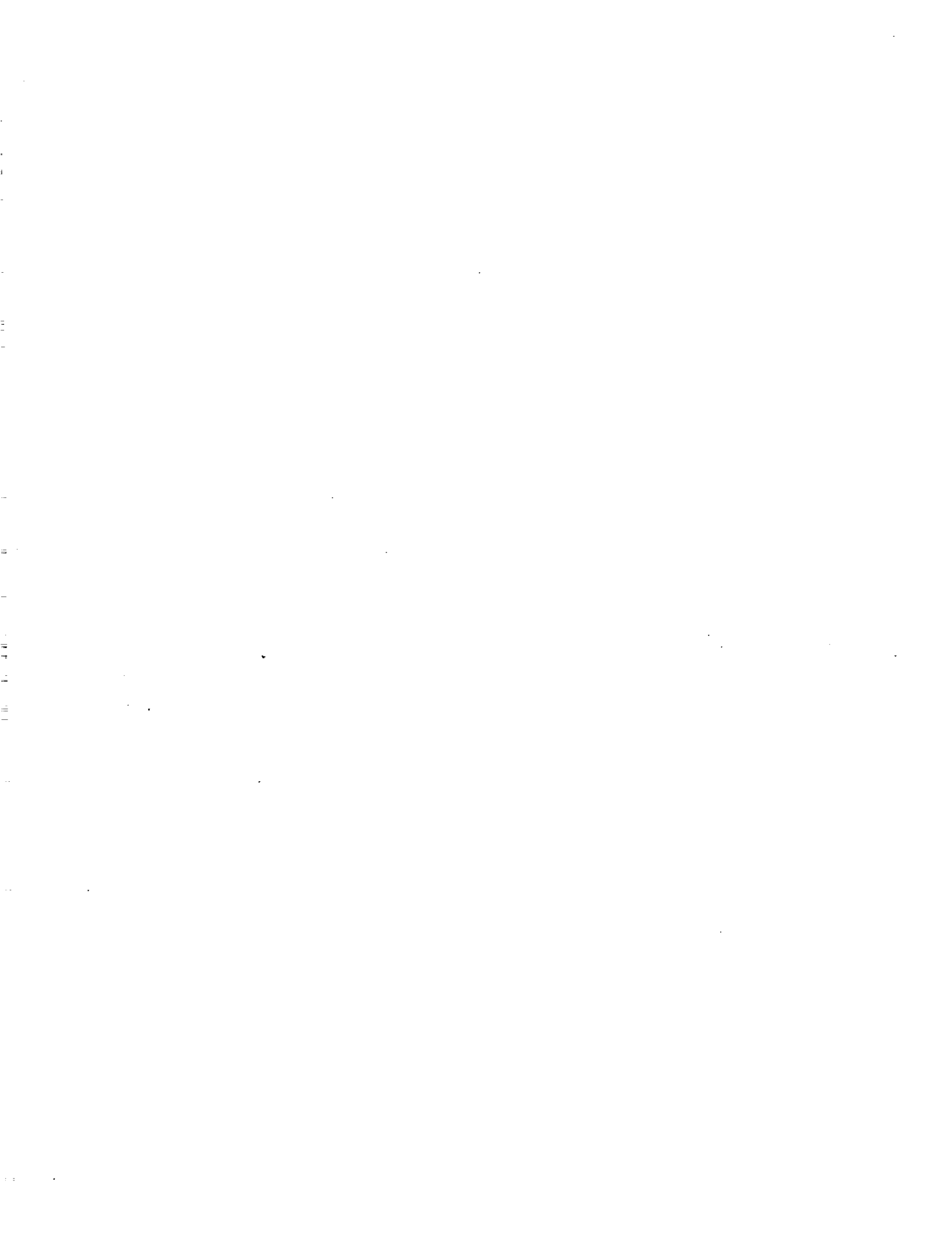
W1(4,J) = XMIN MTN REAL VALUE TO PLOT.

W1(5,J) = XMAX MAX REAL VALUE TO PLOT.

W1(6,J) = YMAX MAX IMAG VALUE TO PLOT AND
YMIN SET TO - YMAX.

500 CONTINUE

RETURN
END



V. PROGRAM OUTPUTS

This section discusses the various program output information and correlates the output data with both the input data and the problem simulation. This information is presented in much the same fashion as was the input data stream of the previous chapter so as to better acquaint the reader with the actual formatted output as it is presented by the program.

It is pointed out that the output stream will not reflect certain outputs that occur from routines that identify troublesome areas such as matrix singularities. Recall also that the basic input routines READ and READIM can also print out input matrix data as dictated by the user. These printouts will not be included either. Reference is made to the theoretical volume (Vol. I) and to the input data stream (Chapter IV) to correlate certain outputs with both the theory and the user input requirements.

OUTPUT VARIABLE IDENTIFICATION SUMMARY
(CONT'D)

STARTT = START TIME FOR TIME RESPONSE.

DELTAT = INTEGRATION STEP SIZE.

ENDT = END TIME FOR TIME RESPONSE.

G1 = X COMPONENT OF GRAVITY VECTOR. (INPUT)

G2 = Y COMPONENT OF GRAVITY VECTOR. (INPUT)

G3 = Z COMPONENT OF GRAVITY VECTOR. (INPUT)

GMAG = $\text{SQRT}(G1**2 + G2**2 + G3**2)$ -- ACC. OF GRAVITY.

GAM1 = DIRECTION COSINE (GRAVITY VECTOR AND X).

GAM2 = DIRECTION COSINE (GRAVITY VECTOR AND Y).

GAM3 = DIRECTION COSINE (GRAVITY VECTOR AND Z).

RCMAG = REFERENCE RADIUS FOR ACTING GRAVITY VECTOR. (INPUT)

NOPRNT = MULTIPLE OF DELTAT TO PRINT TIME RESPONSE.

NOPLT = MULTIPLE OF DELTAT TO WRITE PLOT TAPE.

IFLNER = 0 (NON LINEAR TIME RESPONSE)
= 1 (LINEAR ANALYSIS OR FREQ RESPONSE)

----- DATA HERE -----

FOR BODY I THE SENSOR POINT NO., THE EULER ROTATION TYPE
AND THE JOINT NO. CORRESPONDING TO THE SENSOR POINT
APPEAR IN THE FOLLOWING INTEGER ARRAY WHICH IS FOLLOWED
BY AN ARRAY CONTAINING EULER ANGLES THAT POSITION THE
SENSOR TRIAD WRT THE BODY TRIAD

IF BODY I HAS ANY SENSOR POINTS,
THE FOLLOWING WILL BE PRINTED

----- DATA HERE -----

FOR BODY I THE P-Q HINGE NO., THE EULER ROTATION TYPE
AND THE JOINT NO. CORRESPONDING TO THE P-Q HINGE
APPEAR IN THE FOLLOWING INTEGER ARRAY WHICH IS FOLLOWED BY AN
ARRAY CONTAINING EULER ANGLES THAT POSITION THE HINGE
TRIAD WRT THE BODY TRIAD

INITIAL MODAL DISPLACEMENTS AND
INITIAL MODAL VELOCITIES RESPECTIVELY.

----- THEREFOLLOWS TWO ARRAYS CONTAINING THE

----- DATA HERE -----

-----THE MODAL DAMPING MATRIX IS --

----- DATA HERE -----

-----THE MODAL STIFFNESS IS --


```

C
C
C
C
C
C*****
C*
C*   SUBROUTINE DYN520 OUTPUT
C*
C*****
C
C
C       THE PRINTOUT IS TYPICAL FOR A GIVEN SIMULATION TIME, T.
C
C       THE T=0 PRINT OUT IS ALWAYS GIVEN
C           (EVEN FOR A LINEARIZED ANALYSIS)
C
C
C       THE DATA ARE PRESENTED IN VECTOR FORM AND
C       ORDERED AS FOLLOWS---
C
C-----THE STATE VECTOR Y =
C
C-----THE STATE VECTOR TIME DERIVATIVE YDT =
C
C-----THE BETAS (FULCR ANGLES, POSITION COORDINATES) ARE
C
C-----THE BETA TIME DERIVATIVES ARE
C
C-----THE DELTAS (CONTROL SYSTEM VARIABLES) ARE
C
C-----THE DELTA TIME DERIVATIVES ARE
C
C
C

```


THE TRANSFER FUNCTION FREQUENCY RESPONSE FOLLOWS

FREQ/RAD/SEC	FREQ/HERTZ	REAL	IMAG	AMP	DECIBELS	RAD	DEG
:	:	:	:	:	:	:	:
:	:	:	:	:	:	:	:

THE DAMPED RESONANCES (BASED ON A POLE OR ZERO) ARE IDENTIFIED BY ***** IN BOTH THE LEFT AND RIGHT MARGINS.

THE FOLLOWING OUTPUTS ARE TYPICAL OF A ROOT LOCUS INVESTIGATION.

-----OUTPUT MATRICES PDEN
 PNUM

THE DENOMINATOR AND NUMERATOR TRANSFER FUNCTION POLYNOMIAL COEFFICIENTS --- ASCENDING POWERS OF S.

P(S) = NUMERATOR
 AND
Q(S) = DENOMINATOR

PREPROCESSED POLYNOMIAL COEFFICIENTS AS USED BY RLOCUS.

----- STARTING POINT = USER IDENTIFIED STARTING POINT FOR THE LOCI.

----- SCAN LIMITS = LIMITS ON REAL AND IMAGINARY COMPONENTS FOR THE LOCI.

----- GAIN ROOTS ERROR

ROOT LOCUS OUTPUT

ORIGINAL PAGE IS
OF POOR QUALITY

VI. AUXILIARY PROGRAMS

This section describes two auxiliary digital codes that have been developed to aid the DISCOS program system user. The first code is a FORTRAN program which accepts the DISCOS code as input and, based upon some additional user-supplied input, automatically redimensions the DISCOS source program to minimize core storage requirements. The second code is a DISCOS/NASTRAN interface which processes user-supplied NASTRAN generated data into the required DISCOS input formats.

A. REDIM - THE REDIMENSION PROGRAM

This code was developed to aid the user in the efficient use of available digital computer core storage locations. Examination of existing digital computer codes for generalized analyses of (possibly) large systems indicates that very frequently the nature of the code dictates that a great deal of core storage locations are required (due to the sizes of program DIMENSION and COMMON blocks). This often leads to inefficient use of core storage as the user must have available sufficient core storage locations so as to satisfy the program size. As a large percentage of program executions probably don't require the maximum dimension sizes of program storage blocks, it is obvious that a automatic procedure to alter the program code to meet a user's specific requirements would be desirable. Program REDIM was developed to satisfy these requirements.

REDIM is a self-contained code that contains an extensive list of format statements. The code reads the DISCOS source code from tape as coded data and reproduces it on the tape unless it finds an identifying format number in columns 73-75. In this case, it rewrites the source code according to the format corresponding to the identification. REDIM, therefore, provides an efficient and foolproof method of recasting the source input code to meet the user's requirements.

Following is a more detailed explanation of the manner in which the REDIM program can be used.

CURRENT VALUE

MAXZP = ROW DIMENSION OF TIME HISTORY
PLOT DATA ARRAY 1000

MXJVPL = SIZE OF TIME HISTORY PLOT
VARIABLE SELECTION VECTOR -- MUST
NOT BE CHANGED -- 16

MAXDUM = SIZE OF DUMMY VECTOR IN TIME
HISTORY PLOT SECTION -- MUST
NOT BE LESS THAN NCPLCT -- 1500

MAXCNT = SIZE OF CONTROL DATA VECTOR 100

L1 = ROW DIMENSION OF WORK SPACE
THAT WILL ACCOMMODATE THE
LINEARIZED COEFFICIENT MATRIX
(A) IN DYN540 SEGMENT 100

L5 = SIZE OF FREQUENCY RESPONSE
DATA VECTORS AND CORRESPONDING
TO MAXIMUM NO. OF POINTS TO
BE PLOTTED 500

C*****
C*****
C

B. NASFOR - THE NASTRAN INTERFACE PROGRAM

The multi-purpose programming system described herein can be made more versatile if a reliable and efficient means to process input data arising from other sources can be provided. One other source of input data is NASTRAN, a digital code that is gaining wide acceptance in the aerospace and other industries. Program NASFOR, described in this section, was developed to provide an interface between NASTRAN and DISCOS. The program assumes NASTRAN generated structural data is available in a prescribed format and transforms these data to a format acceptable to the DISCOS system. Either tape or punch card data may be processed.

NASFOR is a self-contained code; it processes data from one source (NASTRAN) and generates data for application in DISCOS. Originally, it was felt that this interface should be an integral part of the DISCOS code. However, during development, it was realized that this would impose a large overhead on the dynamic response program and it was, therefore, decided that NASFOR should be a stand-alone program.

NASFOR has the capability to process either tape or punch card input and create either tape or punch card output. The output formats are consistent with the input requirements of the DISCOS program system. The input formats assume that NASTRAN generated data is double precision and in OUTPUT2 format if on tape or is single precision and of the format (24X,3F8.0) if on punched cards. Reference to the example following indicates the format requirements for all other data required to exercise the program.

The code was designed to process NASTRAN generated structural data for a series of bodies and to create DISCOS input compatible with subroutine MSMODL, the lumped mass input routine. It is assumed that the available data is in a specific format as follows:

For a body whose inertial and geometric characteristics are defined at a set of NJ discrete joints,

1. Inertial Properties

$$m_i = \begin{bmatrix} m & & & & & \\ & m & & & & \\ & & m & & & \\ & & & S_z & -S_y & \\ & & & -S_z & S_x & \\ & & & S_y & -S_x & \\ & & & J_{xx} & -J_{xy} & -J_{xz} \\ & & & & J_{yy} & -J_{yz} \\ & & & & & J_{zz} \end{bmatrix} \quad 6 \times 6$$

(Sym)

where $m = \text{mass}$

$S_{x,y,z} = \text{static mass moments}$

$J_{xx, \dots, zz} = \text{inertias}$

and the total assembled mass matrix is of the quasi-diagonal form

$$M = \begin{bmatrix} m_1 & & & & \\ & m_2 & & & \\ & & \cdot & & \\ & & & \cdot & \\ & & & & m_{NJ} \end{bmatrix} \quad 6NJ \times 6NJ$$

2. Joint Coordinate Locations

i) card input data

$$G = \begin{bmatrix} x & y & z \end{bmatrix}_{NJ \times 3}$$

$$\text{with } x = \begin{bmatrix} x_1 & x_2 & \dots & x_{NJ} \end{bmatrix}^T_{1 \times NJ}$$

$$y = \begin{bmatrix} y_1 & y_2 & \dots & y_{NJ} \end{bmatrix}^T_{1 \times NJ}$$

$$z = \begin{bmatrix} z_1 & z_2 & \dots & z_{NJ} \end{bmatrix}^T_{1 \times NJ}$$

or ii) tape input data

$$G = G_1 - G_0$$

$$\text{with } G_1 = \begin{bmatrix} n & x & y & z \end{bmatrix}_{NJ \times 4}$$

where $n = [n_1 \ n_2 \ \dots \ n_{NJ}]^T_{1 \times NJ}$ are joint numbers and will be ignored by the tape reading section and x , y and z are as above

$$\text{and } G_0 = \begin{bmatrix} x_0 & y_0 & z_0 \end{bmatrix}_{NJ \times 3}$$

where x_0 , y_0 and z_0 are user-supplied card inputs and may be null.

3. Modal Properties

$$\Phi = \begin{bmatrix} \Phi_R & \Phi_E \end{bmatrix}_{6NJ \times NM}$$

where $\Phi_R = NR$ rigid body modes

$\Phi_E = NE$ elastic modes and $NM = NR + NE$

and where

$$\Phi_j = \begin{bmatrix} \phi_1 & \phi_2 & \dots & \phi_1 & \dots & \phi_{NJ} \end{bmatrix}^T_{1 \times 6NJ}$$

$$\text{and } \phi_i = \begin{bmatrix} h_x & h_y & h_z & \sigma_x & \sigma_y & \sigma_z \end{bmatrix}^T_{1 \times 6}$$

with $h_{x,y,z} =$ modal displacement amplitude

$\sigma_{x,y,z} =$ modal rotation amplitude.

4. Generalized Stiffness and Damping

$$K = \begin{bmatrix} K_{gen} \end{bmatrix}_{NE \times NE} \quad \text{and} \quad C = \begin{bmatrix} C_{gen} \end{bmatrix}_{NE \times NE}$$

The data input as previously noted, are manipulated within the program and the results are written on tape and/or provided as punch card output as follows:

1. inertial properties

$$M = \begin{bmatrix} m_1 & m_2 & \dots & m_{NJ} \end{bmatrix}^T_{1 \times NJ}$$

$$S = \begin{bmatrix} S_{x1} & S_{y1} & S_{z1} \\ \vdots & \vdots & \vdots \\ S_{xNJ} & S_{yNJ} & S_{zNJ} \end{bmatrix}_{NJ \times 3}$$

$$J = \begin{bmatrix} J_{xx1} & J_{yy1} & J_{zz1} & J_{xy1} & J_{xz1} & J_{yz1} \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ J_{xxNJ} & J_{yyNJ} & J_{zzNJ} & J_{xyNJ} & J_{xzNJ} & J_{yzNJ} \end{bmatrix}_{NJ \times 6}$$

2. joint coordinate locations

$$G = \begin{bmatrix} x_1 & y_1 & z_1 \\ \vdots & \vdots & \vdots \\ x_{NJ} & y_{NJ} & z_{NJ} \end{bmatrix}_{NJ \times 3}$$

3. modal properties

$$h_{x,y,z} = \begin{bmatrix} h_{x,y,z}^{1,1} & h_{x,y,z}^{1,2} & \dots & h_{x,y,z}^{1,NE} \\ \vdots & \vdots & \vdots & \vdots \\ h_{x,y,z}^{NJ,1} & \dots & \dots & h_{x,y,z}^{NJ,NE} \end{bmatrix}_{NJ \times NE}$$

$$\sigma_{x,y,z} = \begin{bmatrix} \sigma_{x,y,z}^{1,1} & \sigma_{x,y,z}^{1,2} & \dots & \sigma_{x,y,z}^{1,NE} \\ \vdots & \vdots & \vdots & \vdots \\ \sigma_{x,y,z}^{NJ,1} & \dots & \dots & \sigma_{x,y,z}^{NJ,NE} \end{bmatrix}_{NJ \times NE}$$

4. generalized stiffness and damping

$$K_{gen} = \begin{bmatrix} K_{11} & K_{12} & \dots & K_{1,NE} \\ \vdots & \vdots & \vdots & \vdots \\ K_{NE,1} & \dots & \dots & K_{NE,NE} \end{bmatrix}_{NE \times NE}$$

$$C_{gen} = \begin{bmatrix} C_{11} & C_{12} & \dots & C_{1,NE} \\ \vdots & \vdots & \vdots & \vdots \\ C_{NE,1} & \dots & \dots & C_{NE,NE} \end{bmatrix}_{NE \times NE}$$

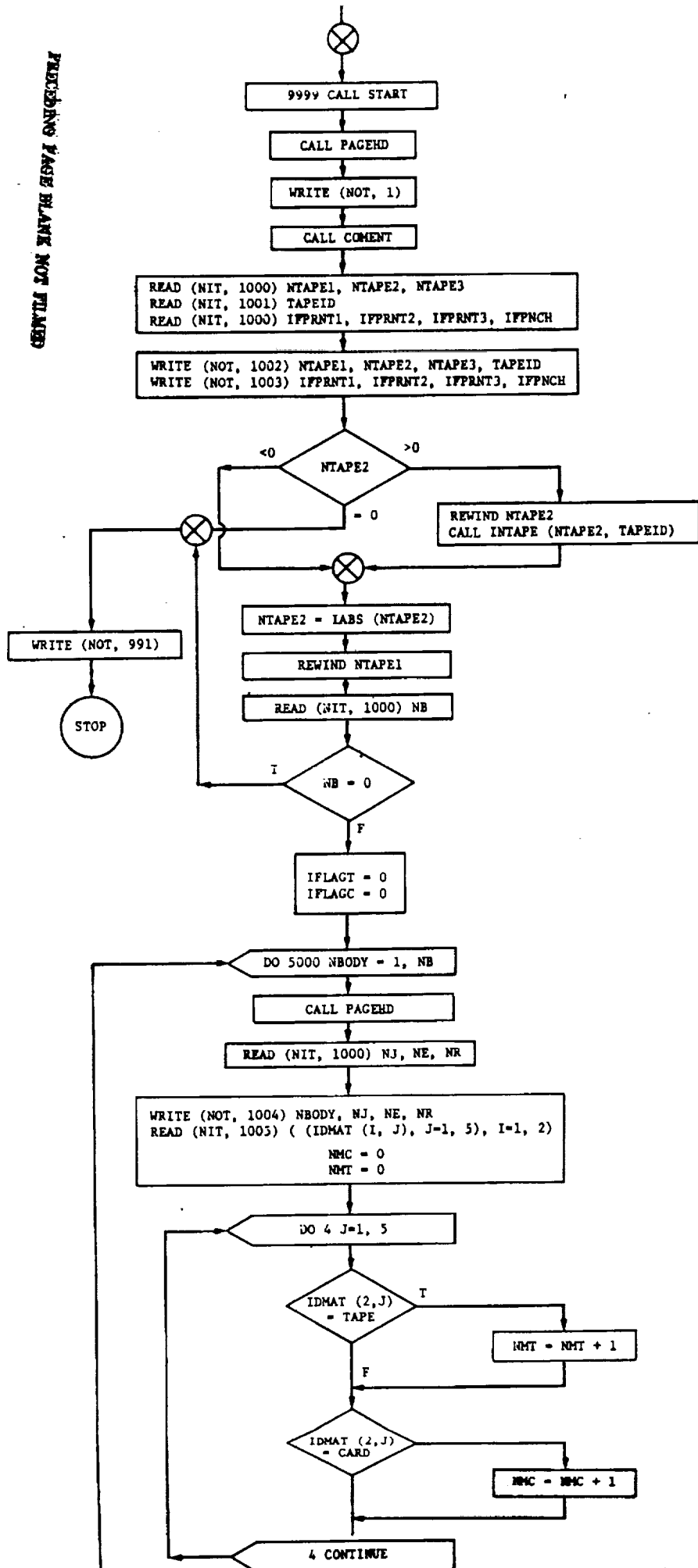
NASFOR consists of a main program, 8 program subroutines to process the data and 10 auxiliary input/output routines. The function of the program routines is indicated in Table VI.B-1. and a logic flow diagram appears as Figure VI.B-1.

Table VI.B-1. Description of NASFOR Subroutines

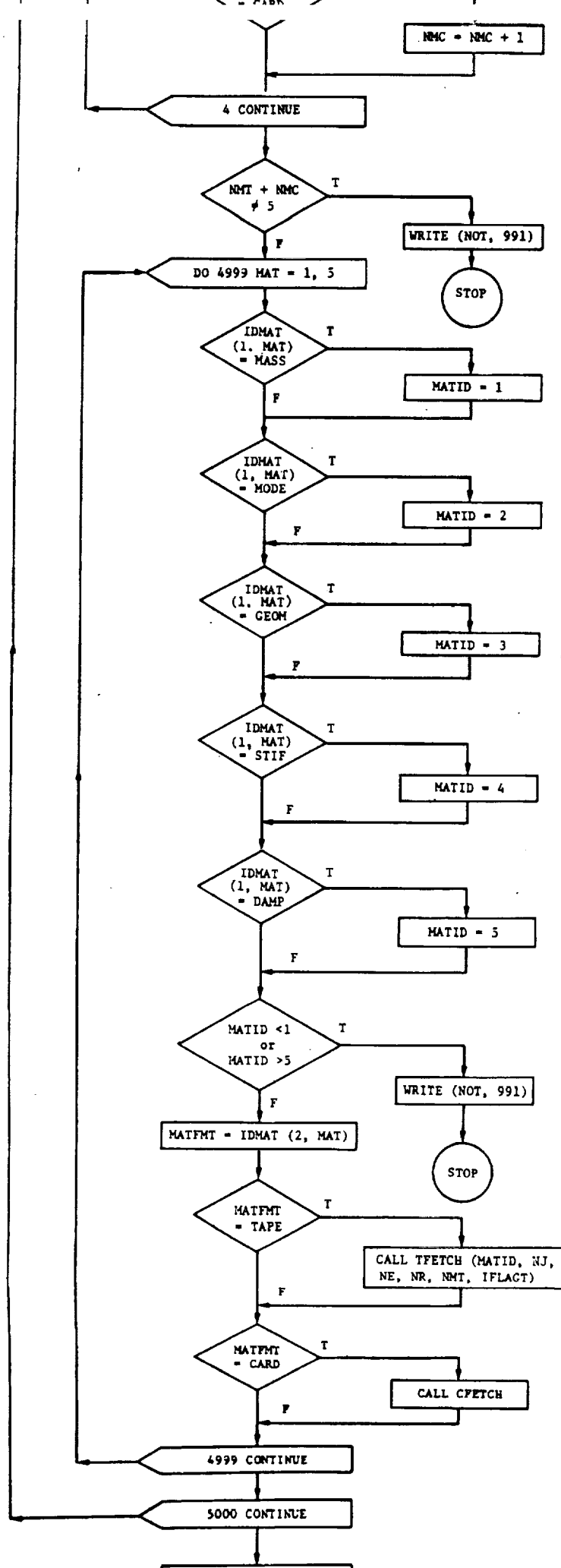
Subroutine	Function
MAIN	Program control
TFETCH	Fetch a matrix from NASTRAN tape
CFETCH	Fetch a matrix from cards
GMASS	Generate mass data
GMODE	Generate modal displacement data
GGEOM	Generate geometric data
GSTIF	Generate stiffness data
GDAMP	Generate damping data
PRINTT	Print entire input tape (on option)

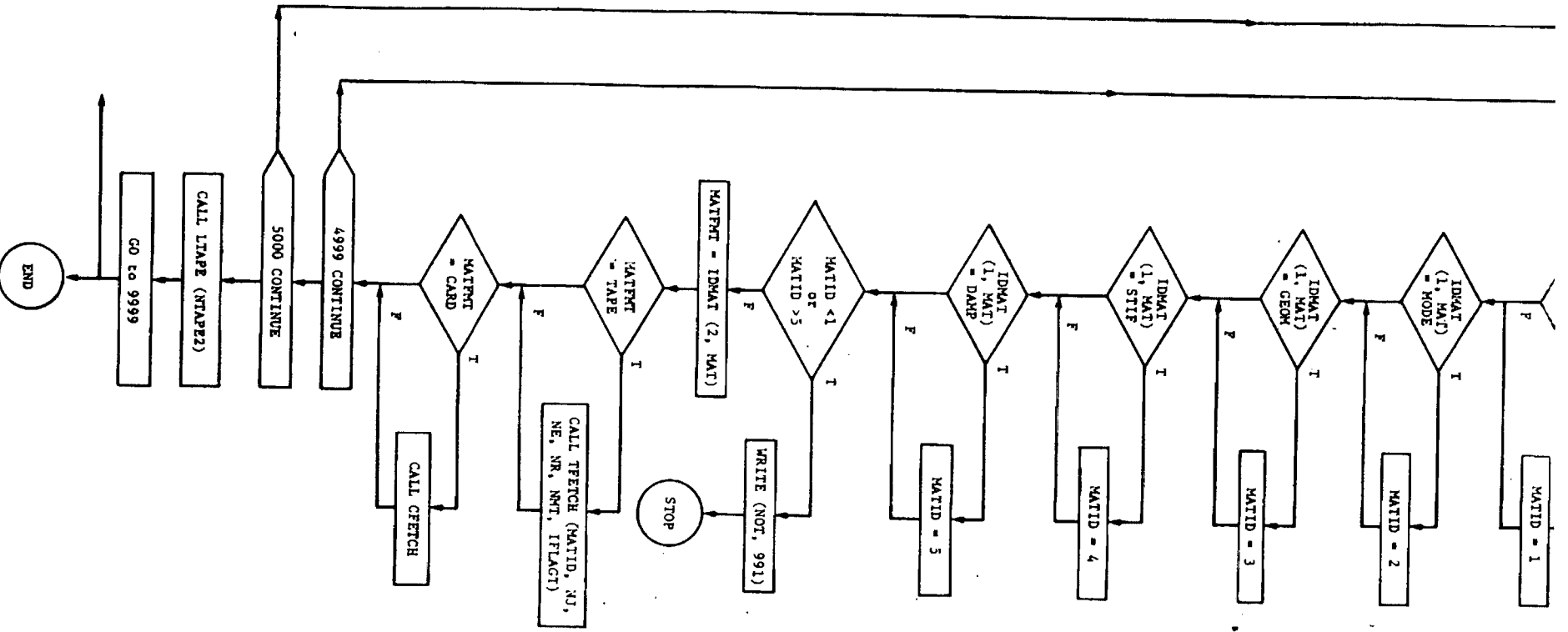
The code has been designed to minimize input data requirements yet provide a high degree of flexibility. Following is a detailed explanation of the input data stream requirements.

PRECEDING PAGES BLANK NOT FILMED



1
EVALUATION FRAME 3





1000 FORMAT (16I5)
 1001 FORMAT (12A6)
 1005 FORMAT (5 (A4, 6X))

Figure VI.B-1. Logic Flow, Program MASTOR
 VI-11 and VI-12


```

C
C
C*****
C*
C*          SUBROUTINE TFECTH
C*
C*****
C
C          THIS SUBROUTINE READS NO INPUT DATA
C          DIRECTLY BUT DOES CALL AUXILIARY
C          SUBROUTINES DEPENDING UPON THE VALUE
C          OF THE INPUT ARGUMENT -MATID-
C
C          THESE AUXILIARY SUBROUTINES READ
C          DATA AS DESCRIBED LATER
C
C----- IF (MATID .EQ. 1) CALL GMASS(..)      LUMPED MASS DATA
C----- IF (MATID .EQ. 2) CALL GMODE(..)     MODAL DATA
C----- IF (MATID .EQ. 3) CALL GGEOG(..)     GEOMETRIC DATA
C----- IF (MATID .EQ. 4) CALL GSTIF(..)     STIFFNESS DATA
C----- IF (MATID .EQ. 5) CALL GDAMP(..)     DAMPING DATA
C
C          RETURN
C          END
C
C
C*****
C*
C*          SUBROUTINE CFETCH
C*
C*****
C
C          THIS SUBROUTINE READS CARD INPUT DATA AS FOLLOWS --
C
C----- READ(NIT,FORMAT = A6,4X,2I5) ANAME, NR, NC
C
C          ANAME = 6 CHARACTER MATRIX IDENTIFICATION
C          NR    = NO. OF ROWS IN MATRIX
C          NC    = NO. OF COLS IN MATRIX
C
C          DO 100 I = 1,NR
C----- READ(NIT,FORMAT = 24X,3F8.0) (WR(J),J=1,NC)
C
C          (WR(J),J=1,2,...,NC) = INPUT ROW I OF MATRIX
C
C          100 CONTINUE
C
C          RETURN
C          END
C

```



```

C
C
C
C
C*****
C*
C*      SUBROUTINE GGEDM
C*
C*****
C
C      SUBROUTINE READS INITIAL GEOMETRIC DATA TO
C      BE MANIPULATED WITH INPUT TAPE GEOMETRIC
C      DATA AND OUTPUT TITLE CARD FOR EACH
C      BODIES GEOMETRIC DATA
C      DATA READ ON FIRST CALL FOR EACH BODY
C      INPUT FORMAT FOR SUBROUTINE READ EXPLAINED
C      ELSEWHERE IN THIS DOCUMENT
C
C      INITIAL GEOMETRIC DATA (MAY BE NULL) IS
C      PROVIDE TO ACCOUNT FOR POSSIBLE
C      GEOMETRIC OFFSETS
C
C----- CALL READ (WS,NR,NC,KWS,LWS)
C
C      NR = INPUT NO. OF ROWS (MUST = NJ)
C      NC = INPUT NO. OF COLS (MUST = 3 )
C      WS = INPUT MATRIX OF INITIAL
C           GEOMETRIC COORDINATES -- SIZE = NJ X 3
C
C      THE FINAL GEOMETRY FOR NJ JOINTS
C      WILL BE COMPUTED AS
C
C      ***          ***          ***          ***          ***          ***
C      * X(1)      Y(1)      Z(1) *      * X   Y   Z *      * X   Y   Z *
C      * .         .         .   *      *   *   *   *      *   *   *   *
C      * .         .         .   *      * (TAPE) *      * (CARD) *
C      * .         .         .   *      *         *      *         *
C      * .         .         .   *      *         *      *         *
C      * X(NJ)    Y(NJ)    Z(NJ)*      *         *      *         *
C      ***          ***          ***          ***          ***          ****
C
C      SO THAT, FOR THE ITH JOINT
C
C      X(I) = X(I) FROM TAPE INPUT - X(I) READ ABOVE
C      Y(I) = Y(I) FROM TAPE INPUT - Y(I) READ ABOVE
C      Z(I) = Z(I) FROM TAPE INPUT - Z(I) READ ABOVE
C
C----- READ(NIT,FORMAT = A6) AN1
C
C      AN1 = 6 CHARACTER OUTPUT TITLE FOR GEOMETRIC DATA
C
C      RETURN
C      END
C

```




APPENDIX A--INPUT/OUTPUT SUBROUTINE EXPLANATIONS

This appendix presents excerpts from *Synthesis of Dynamic Systems Using FORMA--Fortran Matrix Analysis*, MCR-71-75, Martin Marietta Corporation, Denver, Colorado, May 1971, that explain the subroutines from the FORMA library used in the digital computer program.

COMENT

Subroutine COMENT reads input comment cards and reproduces each card in the printed output of the computer run. Each comment card may have any keypunch symbol in card columns 1 thru 78. A use of COMENT is to print an explanation of coordinates used in a computer run. Thus, this information is always retained with a run to correlate matrix location numbers with physical coordinates.

R. L. Wohlen
May 1971

Last Revision: R. L. Wohlen
Sept. 1971

Subroutine INTAPE initializes a tape (a disk is preferred. See writeup of Subroutine WTAPE.) for the FORMA tape system by writing EOT (end of tape) at the beginning of the tape (disk). All FORMA tape subroutines recognize this EOT as being the end of written data. Each "new" tape (disk) must be initialized with this Subroutine INTAPE to make the tape (disk) compatible with the other FORMA tape subroutines (LTAPE, RTAPE, WTAPE, and UPDATE).

A "new" tape (disk) is defined as a tape (disk) for which it is desired to start writing matrix data at the front of the tape (disk). Thus, a "new" tape (disk) could be one with obsolete FORMA matrix data on it as well as one that has never been written on by the FORMA system.

As an example, pertinent statements from a program containing INTAPE could be:

```

DATA NIT,NOT/5,6/
1001 FORMAT (12A6)
NRTAPE = 10
READ (NIT,1001) IFINIT, TAPEID
IF (IFINIT .EQ. 6HINITIL) CALL INTAPE(NRTAPE,TAPEID)
.
.
.

```

The input data (starting in card column 1) to this example program would be:

```

either  INITLTXXXX, if the tape is to be initialized.
        (TXXXX represents the particular tape number
         used, e.g., T1234);

or      NOINIT, if the tape is not to be initialized.
        The tape identification is not needed.

```

Subroutine LTAPE lists the matrix headings (see Subroutine WTAPE writeup) written on a FORMA tape (or disk). These matrix headings were written by Subroutine WTAPE and consist of:

NO. = Matrix number on tape;

RUN NO. = Run number of problem when matrix was written on tape;

NAME = Matrix name;

NROWS = Number of rows of matrix;

NCOLS = Number of columns of matrix;

DATE = Date when matrix was written on tape;

NNZ = Number of nonzeros (just used in sparse FORMA where only nonzeros are used);

PARTITION = Partition number of sparse matrix.

Subroutine READ reads a matrix of real numbers (a FORTRAN term for numbers with a decimal point) from either cards or tape into the computer. The matrix is then printed so that these input data are recorded with the answers of a run. A print suppression option is available for a matrix read from tape. On option, the matrix read from either cards or tape may be written on a tape (by Subroutine WTAPE).

The first data card read by Subroutine READ contains the information to indicate whether cards or tape will be used. The information entered on this card (and subsequent cards for card input) is given below.

Card Data Input Form

Required entries are denoted by an * symbol below. Any other entry is optional.

	Card Columns	Format Type (1)	Entry
First Card	1-6	A	*Matrix Name. Will appear in printout.
	7-10	I	*Matrix Row Size.
	11-15	I	*Matrix Column Size.
	16-69	A	Any remarks to further identify the input matrix.
Write-Tape Options	72		\$. Only if the Write-Tape is to be initialized by Subroutine INTAPE. The Write-Tape identification will be from card columns 73-78.
	72	or	Anything other than \$ is the Write-Tape is not to be initialized.
	73-78	A	The Write-Tape identification. (e.g., T1234). Use with \$ in card column 72.
	73-78	or	REWIND. The Write-Tape will be rewound before being used.
	73-76	or	LIST. The Write-Tape will be listed by Subroutine LTAPE after the matrix has been written on the Write-Tape.
	73-78	or	Anything else will be ignored.
	79-80	I	The Write-Tape Number. (e.g., 21).
		or	Blank if the matrix is not to be written on tape.

	Card Columns	Format Type (1)	Entry
Middle Cards	1-5	I	*Row Number of matrix elements on card.
	6-10	I	*Column Number of matrix element in first data field.
	11-27	E	*First data field with matrix elements. (2)
	28-44	E	*Second data field with matrix elements. (2)
	45-61	E	*Third data field with matrix elements. (2)
	62-78	E	*Fourth data field with matrix elements. (2)
Last Card	1-10	I	*Ten zeroes.

Note (1) Format Type A allows any keypunch symbol.
 Format Type I allows only integer numbers right justified in the field. Format Type E allows only real numbers (a FORTRAN term for numbers with a decimal point) anywhere in the field.

Note (2) Only nonzero elements need be entered.

As an example of card input to Subroutine READ consider the following matrix:

$$[A1*C]_{3 \times 6} = \begin{bmatrix} 1. & 0. & 3. & 0. & 6. & 5. \\ 0. & 2. & 4. & 0. & 0. & 0. \\ 0. & 7. & 0. & 0. & 0. & 0. \end{bmatrix}$$

This matrix is also to be written on tape number 21 that is to be initialized and identified as T4334. Figure 1 demonstrates how this information could be written on a coding form to facilitate keypunching to cards.

Tape Data Input Form

Required entries are denoted with an * symbol below. Any other entry is optional. Only one card is used for each matrix read.

	Card Columns	Format Type (1)	Entry
One Card	1-6	A	*Name of matrix to be read from the Read-Tape.
	10		Zero. The Read-Tape will move forward from its present position and search to the end of the tape. If the matrix is not found upon the first end-of-tape encounter, the tape will automatically rewind and make one more pass. If it is not found on the second end-of-tape encounter, an error message will be printed and the program will stop.
	7-10	I or	Minus the location number of matrix on the Read-Tape. Tape will be positioned at the beginning of the location specified and then continue as described above for a zero in column 10.
	11-15	I	*The Read-Tape Number. (e.g., 11). If positive, the matrix read will be printed in the output. If negative, the matrix read will not be printed in the output.
	16-21	A	*Run number of matrix to be read from the Read-Tape.
	22-27		REWIND. The Read-Tape will be rewound before being used.
	22-25	or	LIST. The Read-Tape will be listed by Subroutine LTAPE.
	22-27	or	Anything else will be considered as part of the remarks described below.

	Card Columns	Format Type (1)	Entry
Write-Tape Options	28-69	A	Any remarks to further identify the input matrix.
	72		\$. Only if the Write-Tape is to be initialized by Subroutine INTAPE. The Write-Tape identification will be from card columns 73-78.
	72	or	Anything other than \$ if the Write-Tape is not to be initialized.
	73-78	A	The Write-Tape identification. (e.g., T1234). Use with \$ in card column 72.
	73-78	or	REWIND. The Write-Tape will be rewound before being used.
	73-76	or	LIST. The Write-Tape will be listed by Subroutine LTAPE after the matrix has been written on the Write-Tape.
	73-78	or	Anything else will be ignored.
	79-80	I	The Write-Tape Number. (e.g., 21).
		or	Blank if the matrix is not to be written on tape.

Note (1) Format Type A allows any keypunch symbol.
 Format Type I allows only integer numbers right justified in the field.

As examples of tape input to Subroutine Read consider:

- Example 1. A matrix named AB2 with run number of RUN-46 is to be read from tape number 11 into the computer and printed. This matrix is also to be written on tape number 22 that is to be initialized and identified as T4321.
- Example 2. A matrix named XYZ4 with run number of TKD is on tape number 13 twice. The first time is at location 29 and the second time is at location 54. It is desired to read the second matrix.

Figure 2 demonstrates how these two examples would be written on a coding form to facilitate keypunching to cards.

Subroutine READIM reads a matrix of integer numbers from either cards or tape into the computer. The matrix is then printed so that these input data are recorded with the answers of a run. A print suppression option is available for a matrix read from tape. On option, the matrix read from either cards or tape may be written on a tape (by Subroutine WTAPE).

The first data card read by Subroutine READIM contains the information to indicate whether cards or tape will be used. The information entered on this card (and subsequent cards for card input) is given below.

Card Data Input Form

Required entries are denoted by an * symbol below. Any other entry is optional.

	Card Columns	Format Type (1)	Entry
First Card	1-6	A	*Matrix Name. Will appear in printout.
	7-10	I	*Matrix Row Size.
	11-15	I	*Matrix Column Size.
	16-69	A	Any remarks to further identify the input matrix.
Write-Tape Options	72		\$. Only if the Write-Tape is to be initialized by Subroutine INTAPE. The Write-Tape identification will be from card columns 73-78.
	72	or	Anything other than \$ if the Write-Tape is not to be initialized.
	73-78	A	The Write-Tape identification. (e.g., T1234). Use with \$ card column 72.
	73-78	or	REWIND. The Write-Tape will be rewound before being used.
	73-76	or	LIST. The Write-Tape will be listed by Subroutine LTAPE after the matrix has been written on the Write-Tape.
	73-78	or	Anything else will be ignored.
	79-80	I	The Write-Tape Number. (e.g., 21).
		or	Blank if the matrix is not to be written on tape.

	Card Columns	Format Type (1)	Entry
Middle Cards	1-5	I	*Row Number of matrix elements on card.
	6-10	I	*Column Number of matrix element in first data field.
	11-15	I	*First data field with matrix elements. (2)
	16-20	I	*Second data field with matrix elements. (2)
	etc		
	76-80	I	*Fourteenth data field with matrix elements. (2)
Last Card	1-10	I	*Ten zeroes.

Note (1) Format Type A allows any keypunch symbol.
Format Type I allows only integer numbers right justified in the field.

Note (2) Only nonzero elements need be entered.

As an example of card input to Subroutine READIM consider the following matrix:

$$[A1*C]_{3 \times 6} = \begin{bmatrix} 1 & 0 & 3 & 0 & 6 & 5 \\ 0 & 2 & 4 & 0 & 0 & 0 \\ 0 & 7 & 0 & 0 & 0 & 0 \end{bmatrix}$$

This matrix is also to be written on tape number 21 that is to be initialized and identified as T4334. Figure 1 demonstrates how this information could be written on a coding form to facilitate keypunching to cards.

Tape Data Input Form

Required entries are denoted with an * symbol below. Any other entry is optional. Only one card is used for each matrix read.

	Card Columns	Format Type (1)	Entry
One Card	1-6	A	*Name of matrix to be read from the Read-Tape.
	10		Zero. The Read-Tape will move forward from its present position and search to the end of the tape. If the matrix is not found upon the first end-of-tape encounter, the tape will automatically rewind and make one more pass. If it is not found on the second end-of-tape encounter, an error message will be printed and the program will stop.
	7-10	I or	Minus the location number of matrix on the Read-Tape. Tape will be positioned at the beginning of the location specified and then continue as described above for a zero in column 10.
	11-15	I	*The Read-Tape Number. (e.g., 11). If positive, the matrix read will be printed in the output. If negative, the matrix read will not be printed in the output.
	16-21	A	*Run number of matrix to be read from the Read-Tape.
	22-27		REWIND. The Read-Tape will be rewound before being used.
	22-25	or	LIST. The Read-Tape will be listed by Subroutine LTAPE.
	22-27	or	Anything else will be considered as part of the remarks described below.

	Card Columns	Format Type (1)	Entry
Write-Tape Options	28-69	A	Any remarks to further identify the input matrix.
	72		\$. Only if the Write-Tape is to be initialized by Subroutine INTAPE. The Write-Tape identification will be from card columns 73-78.
	72	or	Anything other than \$ if the Write-Tape is not to be initialized.
	73-78	A	The Write-Tape identification. (e.g., T1234). Use with \$ in card column 72.
	73-78	or	REWIND. The Write-Tape will be rewound before being used.
	73-76	or	LIST. The Write-Tape will be listed by Subroutine LTAPE after the matrix has been written on the Write-Tape.
	73-78	or	Anything else will be ignored.
	79-80	I	The Write-Tape Number. (e.g., 21).
		or	Blank if the matrix is not to be written on tape.

Note (1) Format Type A allows any keypunch symbol.
 Format Type I allows only integer numbers right justified in the field.

As examples of tape input to Subroutine READIM consider:

Example 1. A matrix named AB2 with run number of RUN-46 is to be read from tape number 11 into the computer and printed. This matrix is also to be written on tape number 22 that is to be initialized and identified as T4321.

Example 2. A matrix named XYZ4 with run number of TKD is on tape number 13 twice. The first time is at location 29 and the second time is at location 54. It is desired to read the second matrix.

Figure 2 demonstrates how these two examples would be written on a coding form to facilitate keypunching to cards.

Subroutine RTAPE reads a selected matrix from tape (disk) into the computer core. The matrix to be selected is identified by the desired run number and matrix name. This procedure is accomplished by searching the matrix headings (see Subroutine WTAPE writeup) until a match with the desired run number and matrix name is obtained and then reading the matrix elements from tape (disk) into the computer core. The search starts from the current position (does not rewind) of the tape (disk) and proceeds to the EOT (end of tape defined in Subroutine WTAPE writeup). If the desired matrix was not found upon reaching the EOT, a rewind is performed and one more search to the EOT is made. If the desired matrix is again not found, (1) an error message is printed, (2) a listing of the matrix headings is printed (see Subroutine LTAPE writeup), and (3) transfer is made to Subroutine ZZBOMB where the program is terminated.

Subroutine START performs the following operations:

- 1) Reads Input Card 1 for the run number (any keypunch symbol in card columns 1 thru 6) and the user's name (any keypunch symbol in card columns 11 thru 28).

If the run number is equal to STOP (Card columns 1 thru 4), the run is terminated.

If the run number is not equal to STOP, the run continues in Subroutine START as follows.

- 2) Reads Input Card 2 for Title Card 1. Any keypunch symbols may be used in Card columns 1 thru 72.
- 3) Reads Input Card 3 for Title Card 2. Any keypunch symbols may be used in Card columns 1 thru 72.
- 4) Initializes page number as zero for use in Subroutine PAGEHD.
- 5) Interrogates computer for the date.

Run number, date, page number, user's name, Title Card 1, and Title Card 2 are transferred by a COMMON block labeled LSTART for use in other subroutines PAGEHD, PLOT1, PLOT2, PLOT3, and WTAPE.

Subroutine START is used to start each computer run in the FORMA system and will normally be the first subroutine called in a computer program. As an example, pertinent statements from a program using START could be:

```
1 CALL START
```

```
      .  
      .  
      .  
      GO TO 1  
      END
```

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May 1971

WRITE

Subroutine WRITE writes a matrix of real numbers (a Fortran term for numbers with a decimal point) on paper. A group of up to ten consecutive elements from a row of the matrix are printed on each line. If all of the elements of a group are zero, printing of this line is suppressed.

Each matrix printed begins on a new page. On each page of printout is the page heading given by Subroutine PAGEHD, the name of the matrix, and the row size and column size of the matrix. This is followed by the matrix data. On any line of matrix data the first integer number is the row number of the matrix elements on that line. The second integer number is the column number of the matrix element in the first data field. The next group of real numbers (up to ten) are the values of the matrix elements. This group of matrix elements is given in consecutive column order.

Subroutine WRITIM writes a matrix of integer numbers on paper. A group of up to twenty consecutive elements from a row of the matrix are printed on each line. If all of the elements of a group are zero, printing of this line is suppressed.

Each matrix printed begins on a new page. On each page of printout is the page heading given by Subroutine PAGEHD, the name of the matrix, and the row size and column size of the matrix. This is followed by the matrix data. On any line of matrix data the first integer number is the row number of the matrix elements on that line. The second integer number is the column number of the matrix element in the first data field. The next group of integer numbers (up to twenty) are the values of the matrix elements. This group of matrix elements is given in consecutive column order.

Subroutine WTAPE writes matrix data at the end of existing written matrix data on a FORMA tape (disk is preferred, see below). Each set of matrix data consists of two logical records. The first record contains the matrix heading (tape identification, location number, run number, matrix name, number of rows of matrix, number of columns of matrix, date, and the word "dense"). The second record consists of the matrix elements.

A schematic representation of the tape (disk) is given by the following sketch.

Beginning
of
tape (disk)



where

H_1 = Matrix heading of the i^{th} written matrix,

E_1 = Matrix elements of the i^{th} written matrix,

EOT = End of Tape. Data written by Subroutine WTAPE or INTAPE that all FORMA tape subroutines recognize as being the end of written data.

Each vertical line is an end of logical record put on by computer system's routines. The tape is written in binary form as opposed to binary coded decimal (BCD) form.

To find the end of written matrix data, a search is made of the matrix headings until the EOT is found. For this reason, a "new" tape (disk) must be initialized with Subroutine INTAPE so that the tape (disk) contains an EOT. A "new" tape (disk) is defined to be a tape (disk) for which it is desired to start writing matrix data at the front of the tape (disk). Thus, a "new" tape (disk) could be one with obsolete FORMA matrix data on it as well as one that has never been written on by the FORMA system. When the EOT is found, a backspace operation is done over the EOT, and then the current matrix heading, current matrix elements, and a new EOT is written.

A disk is preferred to a tape for the following reason. Because of the physical separation of the read and write heads on most tape drives there may be tape tolerance problems thus backspacing over the EOT is usually not successful. Instead of ending up positioned in front of the EOT, the write head is often positioned in front of the previous matrix elements (E_n in the above sketch). The current matrix heading will be written over the previous matrix elements. This causes problems later when trying to read the records written on the tape. To alleviate this problem, it is strongly recommended that all FORMA tape subroutines (INTAPE, LTAPE, RTAPE, WTAPE, and UPDATE) use an intermediate device such as a disk. At the start of a computer run, the existing tape should be copied onto the disk by using computer control cards. Likewise, at the end of the run, the disk should be copied back onto tape by using computer control cards.

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May 1971

APPENDIX B -- BASELINE USER-PAK DEFINITION

This appendix presents a listing of the seven subroutines and two functions which comprise the basic user-supplied packages required for any simulation.

SUBROUTINE CCNTPL
IMPLICIT REAL*8 (A-H,C-E)

```
C
C      COMMON /FHEPRD/
*      F1(6,18,11),B1(6,18,15),KOL(=5, 6),DOL(5, 6)
C      COMMON /CONPAR/
*      CNTDTA(100)
C      COMMON /X,NY,NLTA,NX5,NFTC,NJ6,NY2,NC2
*      CUMCN /LSIZE/
C      COMMON /SPECIF/
*      FETAH(6, 6),FEETAH(6, 6),AME(2, 5),RH(3,3,30),RS(3,3,30),
*      DM(3,35),PG(3,30),IMC(2, 5),NMOW(6, 6),IFISMW(15),
*      NF,HP,NST,NDFMN,NEBETA,ITOPDL(2, 6),TAGFLX( 6),IHDATA(7, 6),
*      LOC(12),LEAU(24),NU,ABETA,MLAM,NEG
C      COMMON /TIMESS/
*      STAFF,LELTAT,T,ENDT,TMST
C      COMMON /VECTE5/
*      Y1(50),YDT(250)
CCCCCCC THIS COMMON IS TRANSFER BETWEEN CONTROL AND SHAFT ONLY -----
*      CLP(4)
```

```
C
C      DIMENSION TO(6),TQC(6),WHE(3),THADW(5)
C      DIMENSION CELY(10,-),RPLY(2),UI(2)
C      DATA IDT4/U7, SPD / 0.F0, 0.00, 0.00 /
C      DATA T1,T2,T3,T4,ETHC/
*      .200, 1.250, .700, 1.700, 1.6471975500 /
C      DATA NPLY,KNV,KCV/ 6, 10, 4/
C      DATA I1ST/ 0 /
C      ALIM(U,V) = GRAN1(-V,CMI11(U,V))
```

```
C
CCCCCCCCC
CCCCCCCCC
CCC THE FOLLOWING STATEMENTS MUST ALWAYS BE IN CONTROL..
IF (I1ST.NE.0)CC TO I10
I1ST = 1
IF (NPLY.EQ.0)CC TO I06
CALL ZENC (CPLY,KRY,KCV,KRY)
CC I06 K=1,NPLY
      K2=2*N-1
I06 CALL ZFAD (CPLY(1,K2),KPLY(K),N,KRY,KCV)
CALL WFITF (CPLY,KRY,KCV,FCPLY,NRY)
I06 CONTINUE
NPLTA = NEBETA
LEPL = LGCD(2*N+2) - 1
I10 CONTINUE
NXSC = 3
NFTC = 3
IF (NEBETA.EQ.0) RETURN
```

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```

C CCCC-----NOTE---THIS SUFFICIENTING MUST ESTABLISH NDLTA,NXSS AND NPTL
C CCCCCCCCCC
C CCCC ESTABLISH THE L/D(TFELTAS)
C CCCCCCCCCC
C CCCC-----NOTE---THIS SECTION IS TYPICAL OF USE OF TPLY.
C CCCCCCCCCC
C
C IF (NPLY.EC.L) GO TO 116
C L = LDEL+1
C DO 115 K=1,NPLY
C K2 = 2*K-1
C
C CALL TPLY (CPLY(1,K),CPLY(1,K+1),U(K),X,KPLY(K),L)
C L = L+KPLY(K) - 1
C 115 CONTINUE
C 116 CONTINUE
C
C CCCCCCCCCC
C ICT4 = ICT4 + 1
C IA = (ICT4-1)/L
C IAA = (ICT4-2)/L
C IFLAG = IA - IAA
C DO 6 J=1,C
C 6 THAPW(I) = Y(G+I)
C DO 5 J=1,G
C 5 T4(I) = Y(LDEL+I)
C
C WHEEL 1 (POLL INERTIA WHEEL CONTROL LOOP)
C DEFINE DIFFERENTIAL EQUATIONS FOR ROLL CONTROL LOOP
C
C U1 = 57.109550*POL(3,2,1)/RGL(3,5,1)
C U2 = ALIN(TC(E),25.000)
C U2 = 2.1770*U1 - U5
C U3 = ALIM(1.106*U2,1.1700)
C TCF(E) = (1.00/98.70)*(-TC(E) + (4/1.100)*U3)
C U4 = ALIM(F*U3,1.68500)
C U5 = ALIN(TC(e),1.910)
C IF (IFLAG.EC.C) GO TO 32
C U6 = 0.955(U8)
C IF (UU.GT.1.00) GC TC 30
C IF (UU.LT.0.510) GC TC 31
C U6 = RmN(I)
C GC TO 10
C 30 U8 = U6/UU
C GC TC 10
C 31 U5 = C.D0
C GC TC 10
C 32 U9 = RFB(I)
C GC TC 33
C 30 RRT(I) = U9
C 23 CONTINUE
C TGD(G) = (-TJ(G) + 2.500*(U6-U9))/.5LU
C
C 1500 SFM = 247.0795 PAF/SEC
C 6 INCP#07 = .00105 FT*LES

```

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14 15A-S(THADW(1)).CT. 157.079500) U9 = 0.00
 CL(1) = .031150*U9 - 5.0-05*THADW(1)

WHEEL 7 (PITCH INERTIA WHEEL CONTROL TORQUE)
 DIFFERENTIAL EQUATIONS IN PITCH CONTROL LOOP

U1 = -57.29260*FOL(3)+1,1)/FOL(3,3,1)
 U2 = ALIN(TG(1),16.450)
 U3 = 2.1750*U1 - U2
 U4 = ALIP(.6250*U2,1.1700)
 TCF(1) = (-TC(1) + U4*(7/.5800))/50.00
 U5 = ALIM(5*U3,1.8000)
 U6 = ALIP(TC(1),1.950)
 IF (FLAG.FC.0) GC TC 14
 U7 = DAFS(U5)
 IF (U7.CT.1.00) GC TC 15
 IF (U7.LT.0.500) GC TC 16
 U8 = FPF(2)
 GC TC 15

14 U9 = 04/UU
 GC TC 15
 14 U9 = 0.50
 GC TC 15
 14 U9 = FPD(2)
 GC TC 15
 14 FPF(2) = U9
 15 (PITCH)
 TCF(2) = (-TC(2) + 2.5FPU(U6 - U9))/.550
 IF (GAIN.THADW(2)).NE. 157.079500) U9 = 0
 CLM(2) = .021550*U9 - 5.1-05*THADW(2)

WHEEL 5 (YAW INERTIA WHEEL CONTROL TORQUE)
 DIFFERENTIAL EQUATIONS FOR YAW CONTROL LOOP

U1 = 57.29260*FOL(2,1,1)/FOL(2,2,1)
 U2 = ALIN(U1,2.50)
 U3 = ALIM(TG(3),20.50)
 U4 = 2.1750*U2 - U3
 U5 = ALIM(1.4700*U3,1.1700)
 TCF(3) = (1.00/AS.00)*(-TC(3) + (9/1.4700)*U4)
 U6 = ALIM(5*U4,1.8000)
 U7 = ALIP(TG(4),1.950)
 IF (FLAG.FC.0) GC TC 20
 U8 = DAFS(U6)
 IF (U8.CT.1.00) GC TC 21
 IF (U8.LT.0.500) GC TC 22
 U9 = FPF(3)
 GC TC 15

21 U10 = 19/UU
 GC TC 18
 22 U10 = 0.50
 GC TC 18
 20 U10 = FHP(3)


```

SUBROUTINE SHAFTT (TSFTT)
  IMPLICIT REAL*8 (A-H,O-Z)
  DIMENSION TSFTT(1)

C
      COMMON /MAXNUM/
      NEMAX,NPMAX,NEDOMAX,NANAX,BMWLOC,NMDEC,NML,NY,NU
      COMMON /SPECIF/
      BTAP(4),A,BETAH(6,0),AA(2,5),KH(3,3,30),RS(3,1,30),
      *
      * CH(3,3),DS(3,30),IM(5,5),NMCM(6,6),IFTSM(15),
      *
      * MANT,NAPT,NCEML,NDFL,ITFOL(2,6),I96FLX(5),IMPATA(7,6),
      *
      * LQU(14),LEND(14),NU,NBETA,ALAM,NEW
      *
      * COMMON /VECTF/
      *
      * V(250),YT(150)
CCCCCCC THIS COMMON IS TRANSFERRED BETWEEN CONTROL AND SHAFTT ONLY ----
      *
      * CLM(-)

C
      DATA NST / 0 /

C
      IF (NST .EQ. 1) GO TO 10
      NST = 1
      EL = 1, NPMAX
      S TSFTT(1) = C.D. 0

C
      10 GO TO 15, 14
      15 TSFTT(1) = CLM(1)

C
      RETURN
      END

```



```

SUBROUTINE KHINGF (G)
  IMPLICIT REAL*8 (A-H,C-Z)
  DIMENSION G(1)
  DIMENSION SK(3,6),DK(3,6),HNGT(3,6)

```

```

C
C     COMMON /FHSKRD/
*     EH(0,18,11),BS(6,16,15),RUL(3,3, 6),DOL(3, 6)
C     COMMON /CCNFAP/
*     CNTDTA(100)
C     COMMON /MAXMUW/
*     NPMAX,NHMAX,NSPMAX,NHMAX,NMWECD,NMDECD,KMU,KY,KL
C     COMMON /MCRKESB/
*     P(113),PMGM(36),HTGT(3),TLTL(3),ENGRK( 0),ENGRPE( 5),
*     TOTRE, TOTPE, TOTENG, AHTGT,ATCTL
C     COMMON /SPECIF/
*     BETAH(0,0),BETAHD(C, 0),AKC(2, 5),SH(3,3,30),RS(3,3,30),
*     DH(3,30),FS(3,30),IMC(3, 2),NMCW(6, 6),LFTSMW(15),
*     NI,NH,NSPT,NGENB,DELTA,ITPCL(2, 6),IFGLX( 0),INDATA(7, 6),
*     LECU(14),LFNU(14),NU,NESTA,NLAM,NEC

```

```

C     EQUIVALENCE (CNTDTA(12),SK(1)), (CNTDTA(30),DK(1))
      TOTRE = 0.000

```

```

C
C     DO 10 I=1,NH
      DO 10 J=1,3
      HNGT(I,L) = -(SK(I,L)*BETAH(I,L) + DK(I,L)*BETAHD(I,L))
10  TOTPE = TOTRE + 0.350*SK(I,L)*BETAH(I,L)**2

```

```

C
C     LEQ = IFGLX(1) + 0
      DO 15 I=1,3
      F = FNCT(I,1)
      DO 16 J=1,LEQ
16  G(J) = G(J) + F*H(I,J,1)
15  CONTINUE

```

```

C
C     DO 20 L=2,NH
      NDFC = ITPOL(1,L)
      NCFP = ITPOL(2,L)
      LE = 2*L - 2
      LP = LP + 1
      LCU = LCU(NCFE) - 1
      LCP = LCU(NCFE) - 1
      LEQ = IFGLX(NCFE) + 6
      LEP = IFGLX(NCFP) + 6
      DO 20 I=1,3
      F = FNCT(I,L)
      DO 25 J=1,LEQ
      LCUJ = LCU + J
25  G(LCJ) = G(LCJ) + F*H(I,J,LE)
20  CONTINUE

```

```

      RETURN
      END

```

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```

C SUBROUTINE CRISC (L,LL,LL,V2)
C INCLUDE 'EALPHS (A-H,C-Z)
C DIMENSION V2(1)

C COMMON /MAXRSH/
C FIBRA,NHMAX,NEPMAX,AMWMAX,NMWOL,NMDFLO,NML,KY,KU
C COMMON /SPECIF/
C BETAB(6,6),BETAB(6,6),ANCL(,5),NP(5,5,50),FS(3,3,30),
C FI(5,5),ES(5,50),IP(5,5),NLM(6,6),IFTRM(15),
C FDOT,KST,NCFND,NBETA,ITPCL(2,6),IRGFLX(6),IFDATA(7,6),
C LCOL(14),LENU(14),NU,NBETA,ALAW,NEG
C COMMON /VECTORS/
C Y(50),W(50)

C PAIR 101 / 0 /

C USER SUPPLIED SUBROUTINE TO GREAT MISC. CONTRIBUTIONS TO R.H.S.
C INCLUDING THE THERMAL COEFFICIENT ENVIRONMENT.
C
C IF (LIST .EQ. 1) GO TO 5
C 101 = 1
C
C 5 CAPTURE
C LCM1 = LC - 1
C FC 10 241,LE
C JO V2(1) = Y(LCM1 + 1) - C.F. 0
C
C RETURN
C END

```

SUBROUTINE EQADD
 IMPLICIT REAL*8 (A-H,I-Z)

```

*      COMMON /HPSRNF/
*      IM6,IB,II),ES(5,14,15),ROL(3,3, 6),DOL(3, 6)
*      COMMON /FNALX /
*      NAOX
*      COMMON /MAXMUH/
*      NMAX,NH,NAY,NHMAX,FMWMAX,NWACE,NMDOEF,KMO,KY,KO
*      COMMON /SPECIF/
*      BETAH(6, 6),BETAH(6, 6),AMC(2, 5),RH(3,3,30),PS(3,3,30),
*      PH(2,35),OSIP(30),IMC(3, 5),NMCM(6, 6),IFTSMW(15),
*      RE,NH,NSFT,NGEMU,NSBETA,ITCPL(2, 6),ITGFLY( 6),IHDATA(7, 6),
*      LCCU(14),LENU(14),VU,NEETA,NLAM,NEC
*      COMMON /VECTER/
*      Y(250),YPT(250)
  
```

```

C      NAOX = 0
C      LABEL = LCCU(2*NH+2) - 1
C      ACCN = 57.205FDC
C      YCT(NEL+1) = ACCN*FOL(3,2,1)/ROL(3,3,1)
C      YET(FOL+2) = -ACCN*FOL(3,1,1)/FOL(2,3,1)
C      YIT(FEL+3) = ACCN*FOL(3,1,1)/FOL(2,2,1)
C      YOT(NEL+2) = Y(LPHL+2)
C      YOT(NEL+3) = Y(LPHL+4)
C      YOT(NEL+4) = Y(LPHL+6)
C      YOT(NEL+5) = Y(LPHL+8)
C      RETURN
C      END
  
```

SUBROUTINE LTOPOL (VTORG)
 IMPLICIT REAL*8 (A-H,I-Z)

```

C      DIMENSION VTORG(1)
C      COMMON /KSIZE/
C      I
C      COMMON /VECTER/
C      KR, KT, KFX, KFY, KVI, KV2, KVX
C      Y (250), YP (250)
C      COMMON /TIMESS/
C      ST, TT, T, ET, TMST
  
```

```

C      DATA IOST/0/
C      TLMT = 10.06*DT
C      IF (IIST.NE.0) GO TO 16
C      IF (T.GT. TLMT) IIST = 1
C      CALL ZFEC (VTORG,1,KVX,1)
C      VTORG(34) = 1.00
C      VTCRAT(3) = 1.00
C      RETURN
C      16 CONTINUE
C      CALL ZFEC (VTORG,1,KVX,1)
C      RETURN
C      END
  
```

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 OF POOR QUALITY

```

FUNCTION APLT (IC,T)
IMPLICIT REAL* 8 (A-H,O-Z)
COMMON /VECT/
      Y(250),YPT(250)
IF (IC .EQ. 14) GO TO 20
APLT = YPT(5)
RETURN
GO APLT = YPT(6)
RETURN

```

C
END

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```

FUNCTION AIT (IC,T)
IMPLICIT REAL* 8 (A-H,O-Z)
COMMON /VECT/
      Y(250),YIT(250)

```

C
IF (IC .EQ. 14) GO TO 20
AIT = YIT(5)
RETURN
20 AIT = YIT(6)
RETURN
END

C
END

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