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Expansion and Improvement of the FORMA System for Response and Load Analysis

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EXPANSION AND IMPROVEMENT OF THE FORMA
SYSTEM FOR RESPONSE AND LOAD ANALYSIS

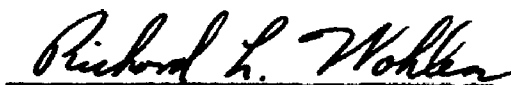
Volume I - Programming Manual

May 1976

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FOREWORD

This report presents results of the expansion and improvement of the FORMA system for response and load analysis. The acronym FORMA stands for FORTRAN Matrix Analysis. The study, performed from 16 May 1975 through 17 May 1976 was conducted by the Analytical Mechanics Department, Martin Marietta Corporation, Denver Division, under the contract NAS8-31376. The program was administered by the National Aeronautics and Space Administration, George C. Marshall Space Flight Center, Huntsville, Alabama under the direction of Dr. John R. Admire, Structural Dynamics Division, Systems Dynamics Laboratory.

This report is published in seven volumes:

- Volume I - Programming Manual,
- Volume IIA - Listings, Dense FORMA Subroutines,
- Volume IIB - Listings, Sparse FORMA Subroutines,
- Volume IIC - Listings, Finite Element FORMA Subroutines,
- Volume IIIA - Explanations, Dense FORMA Subroutines,
- Volume IIIB - Explanations, Sparse FORMA Subroutines, and
- Volume IIIC - Explanations, Finite Element FORMA Subroutines.

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ABSTRACT

This report presents techniques for the solution of structural dynamic systems on an electronic digital computer using FORMA (FORTRAN Matrix Analysis).

FORMA is a library of subroutines coded in FORTRAN IV for the efficient solution of structural dynamics problems. These subroutines are in the form of building blocks that can be put together to solve a large variety of structural dynamics problems. The obvious advantage of the building block approach is that programming and checkout time are limited to that required for putting the blocks together in the proper order.

The FORMA method has advantageous features such as:

1. subroutines in the library have been used extensively for many years and as a result are well checked out and debugged;
2. method will work on any computer with a FORTRAN IV compiler;
3. incorporation of new subroutines is no problem;
4. basic FORTRAN statements may be used to give extreme flexibility in writing a program.

Two programming techniques are used in FORMA: dense and sparse.

ACKNOWLEDGMENTS

The editor expresses his appreciation to those individuals whose assistance was necessary for the successful completion of this report. Dr. John R. Admire was instrumental in the definition of the program scope and contributed many valuable suggestions. Messrs. Carl Bodley, Wilcomb Benfield, Darrell Devers, Richard Hruda, Roger Philippus, and Herbert Wilkening, all of the Analytical Mechanics Department, Denver Division of Martin Marietta Corporation, have contributed ideas, as well as subroutines, in the formulation of the FORMA library.

The editor also expresses his appreciation to those persons who developed FORTRAN, particularly the subroutine concept of that programming tool.

SUMMARY

The formulation and solution of most structural dynamics problems involves the use of matrix analysis and an electronic digital computer. Matrix analysis is used because it allows complicated arithmetical operations to be formulated systematically and provides a compact form of bookkeeping. The electronic digital computer is used in the solution of the problem because of its low cost per calculation.

After the analyst has formulated a problem in matrix notation, he is faced with the practical consideration of obtaining numerical answers using numerical input to the equation. The analyst must therefore translate (i.e., program) the equations into a form recognizable by the computer. Two computer programming approaches are available to the analyst. One is to program the computer to solve a specific type problem using a basic programming language such as ALGOL or FORTRAN. This approach can yield a very efficient computer program but the development of such a program is very time consuming. Thus, such an approach is practical only if the program will be used extensively. The second approach involves a library of matrix analysis operations in subroutine form that allows the analyst to set up his own program using a "building block" concept. This second approach allows the acquisition of quick results from problems of quite different types and is the approach considered in this report.

The validity of the second approach becomes evident from a study of structural dynamic analysis methods. This study reveals that for most types of problems, the mathematical operations required for solutions are limited in number. Thus, these mathematical operations can be programmed in the form of computer subroutines resulting in a library of "building blocks" that can be put together to solve a large variety of structural dynamics problems. The obvious advantage of the building block approach is that the only programming and checkout time required is putting the necessary blocks together in the proper order.

The building block approach described in this report uses FORTRAN call statements with subroutines from a library of subroutines entitled **FORMA (FORTRAN Matrix Analysis)**. Development of subroutines in the **FORMA** library was started in 1964 by engineers in the Dynamics and Loads Section of Martin Marietta Corporation, Denver Division, to solve a wide variety of structural dynamics analyses of aerospace vehicles such as the Titan booster and Skylab orbiting laboratory. These subroutines were programmed specifically for the solution of small and medium size structural dynamics problems of up to approximately 150 degrees of freedom. Since this beginning, the **FORMA** library has been expanded to include the solution of large size structural dynamics problems of up to approximately 6000 degrees of freedom. These subroutines for the analysis of large size structures have been used by engineers in the Dynamics

and Loads Section in the analysis of Viking and Space Shuttle. The FORMA library as included here consists of over 200 subroutines. Listing and explanations of these subroutines are given in Volumes II and III respectively. A division is made in those two volumes for dense programming logic subroutines, sparse programming logic subroutines and finite element subroutines.

The FORMA library includes subroutines for mass matrix calculations, stiffness matrix calculations, vibration modal solutions, time response solutions as well as the basic matrix algebra subroutines. A list of available subroutines is given in Appendices A, B, and C of this volume.

The subroutines in this library have been used extensively and as a result are well checked out and debugged. The FORMA method has advantageous features such as:

1. method will work on any computer with a FORTRAN IV compiler. It has been used on the IBM 7044, IBM 7094, GE 625/635, CDC 6400/6500, and UNIVAC 1108 with only minor modifications;
2. computer times are reasonable;
3. incorporation of new subroutines is no problem;
4. basic FORTRAN statements may be used to give extreme flexibility in writing a program;
5. an analyst can program relatively complex problems with very little programming experience; and
6. the method of programming is closely related to the manner of the mathematical formulation of the physical problem.

In conclusion, this report expands and improves the FORMA system for response and loads analysis by combing existing and adding new dense, sparse and finite element subroutines to the FORMA library. Modifications for MSFC requirements are included where necessary

I. INTRODUCTION

This volume presents the programming techniques and summarizes the subroutines available in the FORMA library that will enable an analyst to convert his matrix equations into a computer program. It is assumed that the analyst has a basic knowledge of Fortran.

Using the FORMA method, a computer program is coded using CALL statements for the desired subroutines from the FORMA library. Two programming techniques (dense and sparse) are utilized to describe the matrices. In dense programming, all elements of the matrix, both zero and non-zero, are used. The maximum size of a matrix is, thus, limited by the core size of the computer. For example, with an available computer core size of 50,000, the maximum square matrix size is approximately 150 (when two matrices are used). To get around this size restriction, a sparse programming technique was devised. In sparse programming (subroutines begin with the letter "Y") only the non-zero matrix elements are used. In the sparse technique, the matrix size is nominally unlimited because partitions of a matrix are stored on disk.

A list of available subroutines is included in Appendix A (dense), Appendix B (sparse), and Appendix C (finite element) grouped according to function (e.g., input, output, algebraic calculation, etc.).

As with all skills, the more experienced and skillful the analyst is, the "better" the FORMA program he will code. A "better" program is defined to be one that has the maximum possible matrix sizes, checks the input data for mistakes (where possible), and uses the least computer time. Probably the best means of improving FORMA skills is by becoming familiar with Fortran capabilities through reading of a Fortran coding manual. It should be emphasized, however, that any FORMA program will work, some programs are just "better" than others.

II. PROGRAMMING TECHNIQUE (DENSE PROGRAMMING LOGIC)

1. Transfer of Data

Transfer of matrix data to and from the subroutines is made by subroutine arguments. Transfer of page heading data is made by a labeled COMMON block as explained in subroutine START.

Input matrix data for programs using dense FORMA subroutines are read using Subroutine READ for real numbers (a Fortran term for numbers with a decimal point) or Subroutine READIM for integer numbers. A special-purpose subroutine (READO) is available but is not needed for most programs. The only other subroutines that read input data are (a) Subroutine START 3 cards for (1) runs number, and user's name, (2) title card 1, and (3) title card 2 ; (b) Subroutine COMENT for comment cards; (c) Subroutine UPDATE for tape updating data; (d) Subroutine RBTTAB for data defining degrees of freedom and coordinate locations for a structural system. No other subroutines read input data.

Printed output data for programs using dense FORMA subroutines are generally obtained by using Subroutine WRITE for real numbers or Subroutine WRITIM for integer numbers. Exceptions to this are the time response subroutines and frequency response subroutines. Here the volume of calculated data is too great to be transferred out of the subroutine and is automatically printed in the subroutine. Other exceptions are CKMAS1, CKSTF1 and RBTTAB which provide specially formatted output.

In the development of FORMA it was recognized that the matrix sizes and row dimensions could be eliminated from the subroutine arguments to give simpler CALL statements. However, by doing this, considerable programming skill is then required by the analyst if in his program he wishes to refer to a particular element of a matrix. Considering the advantages and disadvantages of (1) more arguments in CALL statement but easy matrix element referral in main program against (2) less arguments in CALL statement but difficult matrix element referral in main program, it was decided to use the first approach.

2. Coding Procedure - Sample Problem 1

Perhaps the best means of demonstrating the use of FORM is through a sample problem. Assume the matrix equation

$$[Z]_{N1 \times N3} = (3 \cdot [P]_{N1 \times N2} + [Q]_{N1 \times N2}) [R]_{N2 \times N3} \quad (1)$$

is to be programmed. Matrices [P], [Q], and [R] are to be input data to the program. The answer matrix [Z] is to be printed. The maximum sizes expected are $N1 = 50$, $N2 = 45$, and $N3 = 60$. However, the particular sizes of $N1$, $N2$, and $N3$ will be determined at run time and could be any value between 1 and the maximum size expected.

The following steps are used to code the program. The program will be written on a sheet of coding paper to facilitate keypunching the information to cards. A typical coding sheet with the steps listed below is shown in Figure 1.

The names for data in a program are alphanumeric, but the first character must be alphabetic. A first letter of I, J, K, L, M, or N indicates an integer, while the rest of the alphabet in the first letter indicates a real number.

Step (1) - Call Subroutine START to read three input data cards for (1) run number and user's name, (2) title card 1, and (3) title card 2.

Step (2) - Write the CALL statements based on the above equation (1) using the subroutines listed in Appendix A. This is shown in Figure 1 where K1 is a symbol used to designate the maximum size expected for $N1$. Similarly for $K2, N2$ and $K3, N3$.

Step (3) - Write the DIMENSION statements for the matrices. This indicates the maximum size expected for each matrix. Note that an intermediate matrix $[PPQ] = 3 \cdot [P] + [Q]$ is formed in Subroutine AABB and must be dimensioned. The numerical values for $K1$, $K2$, and $K3$ are also defined.

Step (4) - Shift back to Subroutine START by using the Fortran statement GO TO 1. This procedure allows for "stacked" problems. The run is terminated by a STOP data card (see Subroutine START writeup) after the data of the last problem.

Step (5) - The end of the Fortran source deck is indicated with the Fortran statement END.

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FORM A																																																																					
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DIMENSION Z(50, 60), P(50, 45), Q(50, 45), R(45, 60), PPG(50, 45)																																																																					
K1 = 50																																																																					
K2 = 45																																																																					
K3 = 60																																																																					
CALL START																																																																					
CALL READ (P, N1, N2, K1, K2)																																																																					
CALL READ (Q, N1, N2, K1, K2)																																																																					
CALL AAB (Z, P, I, Q, PPG, N1, N2, K1)																																																																					
CALL READ (R, N2, N3, K2, K3)																																																																					
CALL MULTI (PPG, R, Z, N1, N2, N3, K1, K2)																																																																					
CALL MIXTIS (Z, N1, N2, SMZ, MAT, K1)																																																																					
END																																																																					
STOP																																																																					
END																																																																					

Step (3)
Step (1)
Step (2)
Step (4)
Step (5)

FIGURE 1. FORM A COMPUTER PROGRAM FOR SAMPLE PROBLEM 1

The input data to the sample problem is also written on a coding form and is shown in Figure 2. The input matrices are assumed to be:

$$[P]_{2 \times 3} = \begin{bmatrix} 1. & 2. & 3. \\ 4. & 5. & 6. \end{bmatrix},$$

$$[Q]_{2 \times 3} = \begin{bmatrix} 7. & 8. & 9. \\ 0. & 0. & 0. \end{bmatrix},$$

$$[R]_{3 \times 6} = \begin{bmatrix} 10. & 11. & 12. & 13. & 14. & 15. \\ 0. & 0. & 0. & 0. & 0. & 26. \\ 31. & 0. & 33. & 0. & 35. & 0. \end{bmatrix}.$$

The first three cards of input data contain the following information:

Card 1: Run number in columns 1-6. User's name in columns 11-28.

Card 2: Title 1 in columns 1-72.

Card 3: Title 2 in columns 1-72.

The input form for each matrix is:

First Card: Matrix name in columns 1-6. Matrix row size in columns 7-10 (right justified). Matrix column size in columns 11-15 (right justified).

Middle Cards: Matrix row number in columns 1-5 (right justified) of data. Matrix column number in columns 6-10 (right justified) of data in next field. Matrix data in four fields in columns 11-27, 28-44, 45-61, and 62-78.

Last Card: Ten zeros in columns 1-10.

The last input card is STOP in columns 1-4.

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RUN-11		R.L. MONTGOMERY																						1		1																																																					
SAMPLE		PICKING THE ILLUSTRATE																																																																													
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FIGURE 2. INPUT DATA FOR SAMPLE PROBLEM 1

3. Coding a Better Program

If the analyst is satisfied with the program he has coded, this section can be skipped. However, if large size matrices are to be used or if it is desired to check the sizes of the input matrices then this section should be consulted.

Equivalence - If the analyst wished to increase the maximum expected sizes in the program of Figure 1 to $K1 = K2 = K3 = 100$, then 50,000 core locations would be required for the matrices alone. If this size requirement exceeds the capacity of the computer being used, then core locations will have to be shared between matrices where possible. This is accomplished by using Fortran EQUIVALENCE. Equivalencing is a very sensitive operation because it is easy to wipe out numbers of a matrix before being finished with the matrix. Mistakes of this type will not stop the running of the problem and can only be noticed (hopefully!) by "incorrect-looking" answers.

There are several methods of equivalencing. In the first method, the various matrices are equivalenced to locations in a large dummy matrix. In the second method, the various matrices are equivalenced to each other. The third method is a "manual equivalencing" procedure and is recommended over the other two methods because it is easier to code and understand. In this manual equivalencing method, only two or three matrices are dimensioned [e.g., DIMENSION A(100,100), B(100,100), C(100,100)]. The entire program is coded using only the names A, B, or C. The particular meaning of A, B, or C should then be given in Columns 73 thru 80. By this third method, the EQUIVALENCE statements are kept to a minimum and may not be needed at all.

It is advisable to equivalence only the larger matrices of a program. The possibility of mistake introduced by equivalencing scalars and the smaller matrices is not worth the small amount of core that will be saved.

To demonstrate the manual equivalencing method, assume the dimensions of the program of Figure 1 are to be increased to $K1 = K2 = K3 = 100$. Assume that the resulting 50,000 core locations exceeds the capacity of the computer being used.

In the first example of manual equivalencing, Subroutine MULT is retained in the program. Thus a minimum of three matrices will be needed. The resulting program is shown in Figure 3. The core requirements for this program are only 30,000 for the matrices. The input data of Figure 2 is still the same. The same results as the program shown in Figure 1 will still be obtained.

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FIGURE 3. FORMA COMPUTER PROGRAM FOR SAMPLE PROBLEM 1
THREE MATRICES DIMENSIONED

In the second example of canonical equivalencing, the program of Figure 3 is modified to use only two matrices. This requires that Subroutine MULT be replaced with either Subroutine MULTA or MULTB. The resulting program is shown in Figure 4. The core requirements for this program are only 20,000 for the matrices. The input data of Figure 2 is still the same. The same results as the program shown in Figure 1 will still be obtained.

Size Check - Any of the three programs just coded will run even if there is a mistake in the matrix sizes in the input data. The modifications to the program of Figure 4 to check the sizes of the input matrix data are shown in Figure 5. This is the "best" program for the sample problem given by equation (1). The input data of Figure 2 is still the same. The same results as the program shown in Figure 1 will still be obtained.

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61	62	63	64
65	66	67	68
69	70	71	72
73	74	75	76
77	78	79	80
81	82	83	84
85	86	87	88
89	90	91	92
93	94	95	96
97	98	99	100
DIMENSION A(100,100), B(100,100)			
K=100			
CALL START			
CALL READ(A, N1, N2, K, K)			A=P
CALL READ(B, N1, N2, K, K)			B=Q
CALL AAB(B, A, I, B, A, N1, N2, K, K)			A=3P+Q
CALL READ(C, N1, N2, N3, K, K)			B=R
CALL MULT(A, B, N1, N2, N3, K, K)			A=Z
CALL WRITE(A, N1, N2, N3, MAT, K)			
GO TO 1			
END			

FIGURE 4. FORMA COMPUTER PROGRAM FOR SAMPLE PROBLEM 1
TWO MATRICES DIMENSIONED

FORMA		NAME Wohler	of	1
		PAGE		1
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FIGURE 5. FORMA COMPUTER PROGRAM FOR SAMPLE PROBLEM 1
TWO MATRICES DIMENSIONAL
SIZE CHECKS INCORPORATED

4. Sample Problem 2

To further illustrate the use of FORMA, a second sample problem is coded in this section. The coding techniques described in Section 4 to obtain a "better" program will be used.

In this problem, the "free-free" mode shapes and frequencies of the beam shown in Figure 6 are to be calculated and printed. Two degrees of freedom, translation and rotation, are assumed at each of the five panel points (also called collocation points). The input data to the computer program are the beam panel points, the beam weight distribution, and the beam stiffness distribution. For this sample problem the distributed rotary inertia, any concentrated weights, and the shear stiffness are ignored.

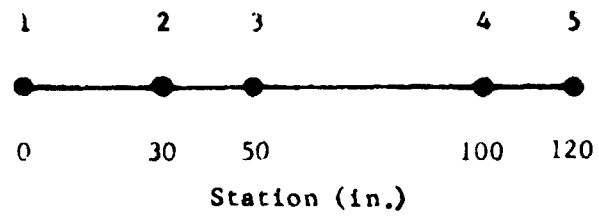
The following steps are used to code the computer program. The program will be written on a sheet of coding paper to facilitate keypunching the information to cards. A typical coding sheet with the steps listed below is shown in Figure 7.

As mentioned previously, the names for data in a program are alphanumeric, but the first character must be alphabetic. A first letter of I, J, K, L, M, or N indicates an integer, while the rest of the alphabet in the first letter indicates a real number.

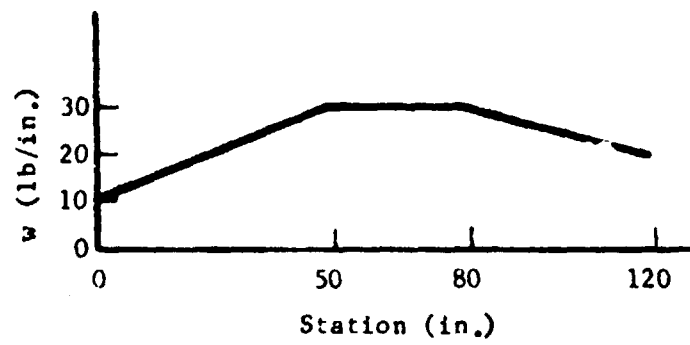
Step (1) - Call Subroutine START to read three input data cards for (1) run number and user's name, (2) title card 1, and (3) title card 2.

Step (2) - Write the CALL statements to read in the panel points, weight distribution, and stiffness distribution. Checks on the column size are made. Write the CALL statements to calculate and write the mass and stiffness matrices, and to calculate and write the mode shapes and frequencies. K1 is a symbol used to designate the maximum number of degrees of freedom allowed. K2 is a symbol used to designate the maximum number of panel points allowed. K3 is a symbol used to designate the maximum number of rows of distributed data.

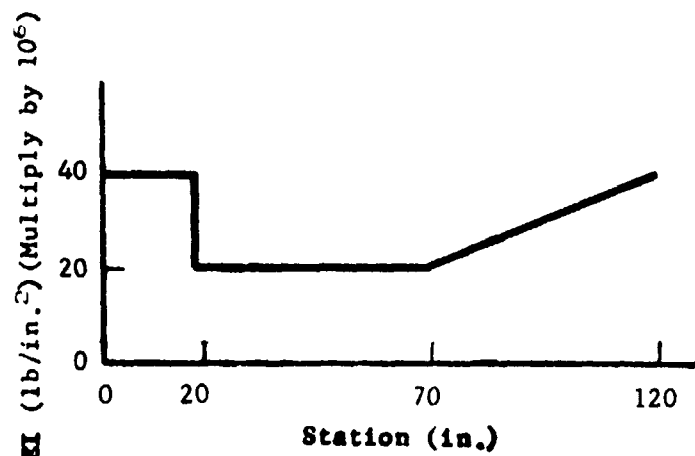
Step (3) - Write the DIMENSION statements for the matrices. This indicates the maximum size expected for each matrix. Even though this sample problem has five panel points, the computer program is written assuming that there could be as many as 50 panel points and thus 100 degrees of freedom. Also, a maximum of 40 rows of distributed data is allowed by the dimension given to the matrix D. The corresponding values for K1, K2, and K3 are defined.



(a) Panel Point Arrangement



(b) Weight Distribution



(c) Stiffness Distribution

Figure 6. Beam for Sample Problem 2

FORMA		NAME	Wohlem
		PAGE	1 of 1
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9	9	9	9
10	10	10	10
11	11	11	11
12	12	12	12
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90	90	90	90
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92	92	92	92
93	93	93	93
94	94	94	94
95	95	95	95
96	96	96	96
97	97	97	97
98	98	98	98
99	99	99	99
100	100	100	100

FIGURE 7. FORMA COMPUTER PROGRAM FOR SAMPLE PROBLEM 2

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Step (4) - Shift back to Subroutine START by using the Fortran statement GO TO 1. This procedure allows for "stacked" problems. The run is terminated by a STOP data card (see Subroutine START writeup) after the data of the last problem.

Step (5) - The end of the Fortran source deck is indicated with the Fortran statement END.

The input data to sample problem 2 is also written on a coding form as shown in Figure 8. The first three cards of input data contain the following information:

Card 1: Run number in columns 1-6. User's name in columns 11-28.

Card 2: Title 1 in columns 1-72.

Card 3: Title 2 in columns 1-72.

The input form for each matrix is:

First Card: Matrix name in columns 1-6. Matrix row size in columns 7-10 (right justified). Matrix column size in columns 11-15 (right justified).

Middle Cards: Matrix row number in columns 1-5 (right justified) of data. Matrix column number in columns 6-10 (right justified) of data in next field. Matrix data in four fields in columns 11-27, 28-44, 45-61, and 61-78.

Last Card: Ten zeros in columns 1-10.

The matrix data consists of:

- 1) Matrix of panel point stations from Figure 6(a).
- 2) Matrix of end point coordinates of the line segments representing the distributed weight from Figure 6(b).
- 3) Matrix of end point coordinates of the line segments representing the distributed bending stiffness from Figure 6(c).

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The end point coordinates of each nonvertical straight line for the distributed data is given as a row in the matrix of distributed data. Each row has the form:

Matrix column 1 - station x_i , i.e., the abscissa of the line segment originating point.

Matrix column 2 - station x_{i+1} , i.e., the abscissa of the line segment terminating point.

Matrix column 3 - value at $x_i(+)$, i.e., the ordinate of the line segment originating point.

Matrix column 4 - value at $x_{i+1}(-)$, i.e., the ordinate of the line segment terminating point.

The last input card is STOP in card columns 1-4.

III. PROGRAMMING TECHNIQUE (SPARSE PROGRAMMING LOGIC)

1. Transfer of Data

Matrix data for the sparse subroutines is stored on disk with a disk number (representing a matrix) being transferred to and from the subroutines by argument. Transfer of page heading data is made by a labeled COMMON block as explained in subroutine START.

Input matrix data is read using subroutine YREAD and printed output data is obtained using subroutine YWRITE.

2. Coding Procedure

The same example will be used here that was used for sample problem 1 for the dense programming logic. The example is repeated from page 3:

$$\begin{bmatrix} Z \end{bmatrix}_{N1 \times N3} = \left(3 \begin{bmatrix} P \end{bmatrix}_{N1 \times N2} + \begin{bmatrix} Q \end{bmatrix}_{N1 \times N2} \right) \begin{bmatrix} R \end{bmatrix}_{N2 \times N3} \quad (1)$$

As before, matrices $[P]$, $[Q]$, and $[R]$ are to be input data to the program. The answer $[Z]$ is to be printed.

The following steps are used to code the program. The program is written on a sheet of coding paper to facilitate key punching the information to cards. A typical coding sheet with the steps listed below is shown in Figure 9.

Step (1) - Dimension workspaces V and LV at least 3 times the largest row or column size expected. The larger the dimension size the faster the computer time. Indicate the dimension size with KV.

Step (2) - Set the tape names to numbers.

Step (3) - Call subroutine START to read three input data cards for (1) run number and user's name, (2) title card 1, and (3) title card 2.

Step (4) - Write the CALL statements based on the above equation (1) using the subroutines listed in Appendix B.

Step (5) - Shift back to subroutine START by using the Fortran statement GO TO 1. This procedure allows for "stacked" problems. The run is terminated by a STOP data card (see subroutine START writeup) after the data of the last problem.

Step (6) - The end of the Fortran source deck is indicated with the Fortran statement END.

The input data for this sparse program is identical to the input data previously shown on pages 5 and 6 (Figure 2) for the dense program.

The techniques of pages 7 through 11 for coding a better dense program are not pertinent for a sparse program because equivalence is not needed. The size checks could be made with the sparse program but is not shown here.

APPENDIX A. SUMMARY OF CALLING INSTRUCTIONS -
DENSE FORM SUBROUTINES.

IN THE ARGUMENTS OF THE SUBROUTINES BELOW IT IS ASSUMED THAT THERE IS CORRESPONDENCE IN SIZE AND ROW DIMENSION OF COMPATIBLE MATRICES. FOR INSTANCE IN SUBROUTINE MULTI, NRA=NRZ, NCA=NRB, NCB=NCZ, KA=KZ

A 6H ARGUMENT MAY ALSO BE A VARIABLE READ WITH AN A6 FORMAT OR OBTAINED WITH A DATA STATEMENT.

*** LIST OF SYMBOLS ***

A = INPUT MATRIX
 B = INPUT MATRIX
 ALPHA = INPUT SCALAR
 BETA = INPUT SCALAR
 AVFC = INPUT VECTOR (ROW OR COLUMN MATRIX)
 IVEC = INPUT VECTOR (ROW OR COLUMN MATRIX), INTEGER
 TAE = INPUT TABLE (MATRIX WITH INCOMPLETE COLUMNS IN SOME ROWS)
 Z = RESULT MATRIX
 ZVEC = RESULT VECTOR
 N = SIZE (FOR VECTOR OR SQUARE MATRIX)
 NR = NUMBER OF ROWS
 NC = NUMBER OF COLUMNS
 K = ROW DIMENSION
 KR = ROW DIMENSION
 KC = COLUMN DIMENSION
 V = VECTOR WORK SPACE
 LV = VECTOR WORK SPACE, INTEGER
 KV = V, LV DIMENSION
 NUTI = LOGICAL NUMBER OF ITH UTILITY TAPE
 NTAPE = SYMBOLIC NUMBER OF TAPE. FOR EXAMPLE, 1

A SINGLY DIMENSIONED VARIABLE IS REFERRED TO AS A VECTOR IN THIS REPORT.

A DCOUPLY DIMENSIONED VARIABLE IS REFERRED TO AS A MATRIX IN THIS REPORT.

A VECTOR MAY BE HANDLED AS EITHER A ROW OR COLUMN MATRIX. THE ROW DIMENSION OF A VECTOR IN THE ARGUMENTS OF THE CALL STATEMENTS IS ANALOGOUS TO THE ROWS OF THE VECTOR. THAT IS, IF THE VECTOR IS HANDLED AS A ROW, THEN KR=1
 IF THE VECTOR IS HANDLED AS A COL, THEN KR=DIMENSION SIZE

EXAMPLE DIMENSION A(10)
 CALL READ (A, N1,N2, 1,10)
 OR CALL READ (A, N2,N1, 10, 1)

PRECEDING PAGE BLANK NOT FILMED

- .01 MISCELLANEOUS
 - .01.01 PROGRAM INITIALIZATION
CALL START
 - .01.02 PROGRAM PAGE HEADING
CALL PAGEHD
 - .01.03 PROGRAM BOMBOUT
CALL ZZBOMB (6HSUEENAM,NERROR)
 - .01.04 PROGRAM COMMENTS
CALL COMENT
 - .01.05 CONVERSION
CALL YDTOS (A,NUTZ,NR,NC,KR,KC,V,LV,KV,NUT1)
USES YIN,YINI,YOUT,YOUTI,YPART,ZZBOMB.
 - .01.06 MATRIX ELEMENT COMPARISON
CALL COMPAR (A,REF,NR,NC,NDIG,GTOL,6HANAME-,6HREFNAM,
KA,KREF)
 - .01.07 TIME CHECK
CALL TIMCHK (6HNAMCHK)
 - .01.08 ORDERING
CALL XLORD (V,LV,LAS,NNZA)
CALL ORDALP (IMAT,NR,NC,NCAL,IWMAT,KRI,KCW)
 - .01.09 MERGE NAME AND NUMBER (FUNCTION)
NAME (6HNAME ,NUM)

.02 INPUT

.02.01 REAL NUMBERS

CALL READ (Z,*NR,*NC,KR,KC)

USES INTAPE,LTAPE,PAGEHD,PTAPE,WRITE,WTAPE,ZZEOMB.

*NR,*NC WILL BE DEFINED BY INPUT. USE SYMBOLS.

CARD INPUT

- FIRST CARD - ZNAME,NR,NC WITH A6,I4,I5 FORMAT.
REMARKS IN COLUMNS 16-69.
\$ IN COL 72 FOR WRITE TAPE INITIALIZE.
BLANK,REWIND,LIST,OR TAPEID (FOR WRITE TAPE) IN COLUMNS 73-78.
NWTAPE IN COLUMNS 79-80.
- MIDDLE CARDS - DATA WITH 2I5,4E17 FORMAT.
- LAST CARD - TEN ZEROS IN COLUMNS 1-10.

TAPE INPUT

- ONE CARD - ZNAME,0 OR -LOCATION,NRTAPE (WITH - FOR NO WRITE OUT),ZRUNNO WITH A6,I4,I5,A6 FORMAT.
BLANK,REWIND,OR LIST (FOR READ TAPE) IN COLUMNS 22-27.
REMARKS IN COLUMNS 28-69.
\$ IN COL 72 FOR WRITE TAPE INITIALIZE.
BLANK,REWIND,LIST,OR TAPEID (FOR WRITE TAPE) IN COLUMNS 73-78.
NWTAPE IN COLUMNS 79-80.

.02.02 INTEGER NUMBERS

CALL READIM (IZ,*NR,*NC,KR,KC)

USES INTAPE,LTAPE,PAGEHD,PTAPE,WRITEIM,WTAPE,ZZBOMB.

*NR,*NC WILL BE DEFINED BY INPUT. USE SYMBOLS.

CARD INPUT

- FIRST CARD - IZNAME,NR,NC WITH A6,I4,I5 FORMAT.
REMARKS IN COLUMNS 16-69.
\$ IN COL 72 FOR WRITE TAPE INITIALIZE.
BLANK,REWIND,LIST,OR TAPEID (FOR WRITE TAPE) IN COLUMNS 73-78.
NWTAPE IN COLUMNS 79-80.
- MIDDLE CARDS - DATA WITH 2I5,14I5 FORMAT.
- LAST CARD - TEN ZEROS IN COLUMNS 1-10.

TAPE INPUT

(SAME AS SUBROUTINE READ ABOVE).

.02.03 OCTAL NUMBERS

CALL READO (Z,*NR,*NC,KR,KC)

*NR,*NC WILL BE DEFINED BY INPUT. USE SYMBOLS.

- FIRST CARD - ZNAME,NR,NC WITH A6,I4,I5 FORMAT.
REMARKS IN COLUMNS 16-69.
- MIDDLE CARDS - DATA WITH 2I5,3(3X,020) FORMAT.
- LAST CARD - TEN ZEROS IN COLUMNS 1-10.

.02 INPUT (CONTINUED)

.02.04 ALPHA-NUMERIC CHARACTERS

CALL READAN (IZ,*NR,*NC,KP,KC)

USES INTAPE,LTAPE,PAGEFD,RTAPE,WRITAN,WTAPE,ZZBOMB.

*NR,NC WILL BE DEFINED BY INPUT. USE SYMBOLS.

CARD INPUT

FIRST CARD - IZNAME,NR,NC WITH A6,I4,I5 FORMAT.
REMARKS IN COLUMNS 16-69.
\$ IN COL 72 FOR WRITE TAPE INITIALIZE.
BLANK,REWIND,LIST,OR TAPEID (FOR WRITE
TAPE) IN COLUMNS 73-78.
NWTAPE IN COLUMNS 79-80.

MIDDLE CARDS - DATA WITH ZI5,IOA6 FORMAT.

LAST CARD - TEN ZEROS IN COLUMNS 1-10.

TAPE INPUT

(SAME AS SUBROUTINE READ ABOVE).

.03 OUTPUT

- .03.01 PRINT REAL NUMBERS
CALL WRITE (A,NR,NC,6HANAME-,K)
- .03.02 PRINT INTEGER NUMBERS
CALL WRITIM (IA,NR,NC,6HIANAME,K)
- .03.03 PRINT ALPHA-NUMERIC CHARACTERS
CALL WRITAN (IA,NR,NC,6HIANAME,K)
- .03.04 PLOT
CALL PLOT1 (XVEC,YMAT,NRY,NCY,XSTART,XDELTA,6HXNAME-,
YNAME,PTITLE,IFSAME,IFCURV,IFLIFT, K)
USES PLOTSS.
HAVE -CALL RPLT (C,2HLC)- IN MP USED ONCE/RUN.
MAX NCY = 3
CALL PLOT2 (XVEC,YMAT,NRY,NCY,6HXNAME-,6HYNAME-,
PTITLE,IPLT,IYS, KY)
MAX NCY=10
CALL PLOT3 (CLOC,MLUC,COELUC,VPLOC,PANGLE,CANGLE,
FEDIST,IFJNUM,LREYE,NVIEW,IFFA,PTITLE,
NC,NP,KC,KM)
USES VCROSS,VDET.
CALL PLOTSS (YMAX,YMIN,YTOP,TFOT)
- .03.05 PUNCH
CALL PUNCAN (IA,NR,NC,6HIANAME,K)
CALL PUNCH (A,NR,NC,6HANAME-,K)
CALL PUNCHO (A,NR,NC,6HANAME-,K)
CALL PUNCIM (IA,NR,NC,6HIANAME,K)

.04 TAPE OPERATIONS

REWIND NTAPE AT BEGINNING OF MAIN PROGRAM.

- .04.01 INITIALIZATION
 CALL INTAPE (NTAPE,6HTAPEID)
- .04.02 READING
 CALL RTAPE (6HZRUNNO,6HZNAME-,Z,*NR,*NC,KR,KC,NTAPE)
 *NR,NC WILL BE DEFINED BY TAPE DATA. USE SYMBOLS.
 USES LTAPE.
- .04.03 WRITING
 CALL WTAPE (A,NR,NC,6CHANAME-,K,NTAPE)
- .04.04 LISTING OF HEADERS
 CALL LTAPE (NTAPE)
- .04.05 UPDATING
 CALL UPDATE
- .04.06 COPE/TAPE DATA TRANSFER
 CALL IN (NTAPE,Z,N)
 CALL OUT (NTAPE,A,N)
 CALL RWND (NTAPE)
 CALL SKPR (NTAPE,NREC)

.05 GENERATION

.05.01 BASIC

CALL ONES	(Z, NR, NC, K)
CALL SIGMA	(Z, N, K)
CALL UNITY	(Z, N, K)
CALL ZERO	(Z, NR, NC, K)

.06 ALGEBRA

.06.01 SCALAR PRODUCT

CALL ALPHA (ALPHA,A,Z,NR,NC,KAZ)
CALL PA (P,A,Z,NR,NC,KA,KZ)

.06.02 ADDITION, SUBTRACTION

CALL AAFP (ALPHA,A,BETA,P,Z,NR,NC,KABZ)
CALL PACB (P,A,Q,B,Z,NR,NC,KA,KB,KZ)

.06.03A MULTIPLICATION - GENERAL

CALL MULT (A,B,Z,NRA,NPB,NCP,KAZ,KB)
CALL MULTA (AZ,P,NRA,NRP,NCB,KAZ,KB)
MAX NRP = 500
CALL MULTB (A,BZ,NRA,NPB,NCB,KA,KBZ)
MAX NPB = 500

.06.03B MULTIPLICATION - SPECIAL

CALL AP1 (A,P,Z,NRA,NCA,NCP,KA,KB,KZ)
MAX NCA = 500
CALL AP2 (A,B,Z,NPA,NCA,NCB,KA,KB,KZ)
MAX NCA = 500
CALL ARC1 (A,B,C,Z,NRA,NCA,NCB,KA,KB,KC,KZ)
MAX NCA = 500
CALL ARC2 (A,E,C,Z,NRA,NCA,NCB,KA,KB,KC,KZ)
MAX NCA = 500
CALL ATP1 (A,P,Z,NRA,NCA,NCP,KA,KB,KZ)
MAX NRA = 500
CALL ATP2 (A,P,Z,NPA,NCA,NCB,KA,KB,KZ)
MAX NRA = 500
CALL ATBC1 (A,B,C,Z,NPA,NCA,NCB,KA,KB,KC,KZ)
MAX NRA = 500
CALL ATBC2 (A,B,C,Z,NRA,NCA,NCB,KA,KB,KC,KZ)
MAX NRA = 500
CALL ATXEA1 (AZ,E,NRP,NCB,KAZ,KB)
MAX NCP = 500
CALL ATXPB (A,PZ,NRAT,NRP,NCP,KA,KBZ)
MAX NPAT = 500
CALL ATXPB1 (A,BZ,NRP,NCE,KA,KBZ)
MAX NRB = 500
CALL ATXPE2 (A,PZ,NRP,NCB,KA,KBZ)
MAX NCP = 500
CALL AXPA1 (AZ,P,NRA,NCA,KAZ,KB)
MAX NCA = 500
CALL AXPA2 (AZ,P,N,KAZ,KB)
MAX N = 500
CALL AXPA3 (AZ,P,NRP,NCP,KAZ,KB)
MAX NRP = 500
CALL DB1 (D,B,Z,NRE,NCP,KB,KZ)

.06 ALGEBRA (CONTINUED)

.06.04A TRIPLE MATRIX PRODUCT - GENERAL

CALL PART (A,B,Z,NRP,NCP,KA,KBZ)

MAX NCP = 500 (SIZE OF A)

CALL BAETA (AZ,B,NRP,NCP,KAZ,KB)

MAX NCP = 500 (SIZE OF A)

CALL BTAB (A,B,Z,NRP,NCP,KAB,KZ)

MAX NRP = 500 (SIZE OF A)

CALL PTABA (AZ,B,NRP,NCP,KAZ,KB)

MAX NRP,NCP = 500 (SIZE OF MATRICES A,Z)

.06.04B TRIPLE MATRIX PRODUCT - SPECIAL

CALL BTAB1 (A,B,Z,NRP,NCP,KA,KB,KZ)

MAX NRP = 500 (SIZE OF MATRIX A)

CALL BTABA2 (AZ,B,N,KA)

MAX N = 500 (SIZE OF MATRICES A,B,Z)

CALL BTABC1 (A,B,C,Z,NRP,NCP,KA,KB,KC,KZ)

MAX NRP = 500

CALL BTDB1 (D,B,Z,NRP,NCP,KRB,KZ)

MAX NRP = 500

CALL BTDBC1 (D,B,C,Z,NRP,NCP,KB,KC,KZ)

CALL UTAU1 (A,U,Z,N,KA,KU,KZ)

MAX N = 500

CALL UTAUC1 (A,U,C,Z,N,KA,KU,KC,KZ)

MAX N = 500

.06.05 INVERSION

CALL INV1 (A,Z,N,KAZ)

MAX N = 250

CALL INV2 (A,Z,N,KAZ)

MAX N = 250

CALL INV3 (A,Z,N,KAZ)

USES DCOM1,INV4.

MAX N = 250

CALL INV4 (A,Z,N,KAZ)

.06.06 SIMULTANEOUS EQUATIONS

CALL SMEQ1 (*A,*RVEC,ZVEC,N,KA)

*A,*RVEC ARE DESTROYED.

.06.07 EIGENVALUE, EIGENVECTOR

CALL EIGN1 (*A,ZVAL,ZVEC,N,FCO,KAZ)

*A IS DESTROYED.

CALL EIGNIA (*A,ZVAL,ZVEC,NIN,(TV,KAZ)

*A IS DESTROYED.

.06 ALGEBRA (CONTINUED)

.06.08 DECOMPOSITION
CALL DDCM1 (A,Z,N,KAZ)

.06.09 ROW, COLUMN OPERATIONS
CALL ROWMLT (AVEC,B,Z,NR,NC,KFZ)
CALL COLMLT (AVEC,B,Z,NR,NC,KFZ)

.06.10 VECTOR OPERATIONS
CALL VDOT (VA,VB,PRODOT,VAMAG,VEMAG,COSAB)
CALL VCROSS (VA,VB,VZ,VAMAG,VEMAG,VZMAG,SINAB)

- .07 MODIFICATION
- .07.01 ASSEMBLY
CALL ASSEM (A,IZ,JZ,*Z,NRA,NCA,NRZ,NCZ,KA,KZ)
*BE SURE Z IS DEFINED. (EG CALL ZERO TO CLEAR Z).
- .07.02 DISASSEMBLY
CALL DISA (A,IA,JA,Z,NRA,NCA,NRZ,NCZ,KA,KZ)
- .07.03 REVISION
CALL REVADD (ALPHA,A,IVEC,JVEC,*Z,NRA,NCA,NRZ,NCZ,KA,KZ)
*BE SURE Z IS DEFINED. (EG CALL ZERO TO CLEAR Z).
CALL REVIJ (AZ,IVEC,JVEC,NRA,NCA,NRZ,NCZ,KRAZ)
- .07.04 TRANSPOSE
CALL AT1 (A,Z,NRA,NCA,KA,KZ)
MAX NCA = 500
CALL TRANS (A,Z,NRA,NCA,KA,KZ)
- .07.05 SYMMETRIZE
CALL SYMLH (AZ,N,K)
CALL SYMUH (AZ,N,K)
- .07.06 NULLIFY
CALL ZEROLH (AZ,N,K)
CALL ZEROUH (AZ,N,K)
- .07.07 DIAGONALIZE
CALL DIAG (AVEC,Z,N,KZ)

.08 INTERPOLATION, DIFFERENTIATION

.08.01 INTERPOLATION

CALL TERP1 (XA,XZ,A,Z,NXA,NXZ,NCA,KA,KZ)

CALL TERP2 (XA,XZ,A,Z,NXA,NXZ,NCA,KA,KZ)

.08.02 DIFFERENTIATION

CALL DIFF1 (XA,XZ,A,Z,NXA,NXZ,NCA,KA,KZ)

CALL DIFF2 (XA,XZ,A,Z,NXA,NXZ,NCA,KA,KZ)

.09 AIRLOAD

.09.01 LATERAL
CALL ALCD1 (PP,DIST,CONC,CONVRT,ZVEC,NPP,ND,NC,KD,KC)

.09.02 AXIAL
CALL ALCD2 (PP,DIST,CONC,CONVRT,ZVEC,NPP,ND,NC,KD,KC)

.10 MASS

.10.01 ROD
CALL MASS1 (PP,DMASS,DRIN,CONC,CONVRT,Z,NPP,NDM,NDI,NC,
KDM,KDI,KC,KZ)

.10.02 EFAP
CALL MASS2 (PP,DMASS,DRIN,CONC,CONVRT,Z,NPP,NDM,NDI,NC,
*NZ,KDM,KDI,KC,KZ)
*NZ=2NPP WILL BE DEFINED BY MASS2. USE SYMPL.

.10.03 FLUID
CALL MASS2A (PP,DMASS,EQSM,FLEVEL,CONVRT,Z,NPP,NDM,*NZ,
KDM,KZ)
*NZ=2NPP+1 WILL BE DEFINED BY MASS2A. USE SYMPL.

.11 STIFFNESS**.11.01 FCD****CALL STIF1 (PP,DAE,Z,NPP,NDAF,KDAE,KZ)****.11.02 RFAM****CALL STIF2 (PP,DKAG,DEI,Z,NPP,NOKAG,NDEI,*NZ,KDKAG,
KDEI,KZ)*****NZ=2NPP WILL BE DEFINED BY STIF2. USE SYMBOL.****.11.03 REDUCTION****CALL SPED1 (A,R,T,N,NR,IFT,KART)****CALL SPED2 (A,R,T,N,NR,IFT,KART)****CALL SPED3 (A,IV,R,T,N,NR,IFT,KART)**

.12 MODAL

.12.01 JACOBI

```
CALL MODE1 (*AMASS,**STIF,W2,W,FREQ,N,FOD,KAS,NUTAPE)
  *AMASS IS REPLACED BY MODE SHAPES.
  **STIF IS DESTROYED.
  USES ETABA,DCOM1,EIGN1,INV4.
  MAX N = 500
CALL MODE1A (*AMASS,**STIF,W2,W,FREQ,N,FOD,KAS,NUTAPE)
  *AMASS IS REPLACED BY MODE SHAPES.
  **STIF IS DESTROYED.
  USES BTABA,DCOM1,EIGN1,INV4.
  MAX N = 500
CALL MODE1B (*AMASS,**FLEX,W2,W,FREQ,N,FOD,KAF,NUTAPE)
  *AMASS IS REPLACED BY MODE SHAPES.
  **FLEX IS DESTROYED.
  USES RTABA,DCOM1,EIGN1,INV4,MULTA.
  MAX N = 500
```

.13 RIGID BODY MODES

.13.01 CALCULATION

CALL RPTG1 (XYZ,XYZREF,JDOF,JVEC,Z,NMODE,*NRZ,*NCZ,KXJ,
KZ)

*NRZ,NCZ WILL BE DEFINED BY RPTG1. USE SYMBOL.
USES REVADD.

CALL RPTG2 (XRT,XYZREF,JDOF,JVEC,Z,NMODE,*NRZ,*NCZ,KXJ,
KZ)

*NRZ,NCZ WILL BE DEFINED BY RPTG2. USE SYMBOL.
USES REVADD.

.13.02 ORTHO-NORMALIZATION

CALL ONRPM (RBMODE,AMASS,N,NRPMOD,KRA)

USES BTAB,FIGN1,MULTA.

MAX N = 250

MAX NRPMOD = 6

.14 INERTIAL TRANSFORMATION

```
CALL UMAMI (AMASS,REMODE,Z,N,NRBMOD,KARZ)  
USES PART,PTAB,INVI,MULTF  
MAX N      = 250  
MAX NRBMOD = 6
```

.15 INTERNAL LOADS

- .15.01 BEAM - SHEAR, MOMENT LOADS
CALL VM1 (XVEC, DIST, CONC, AMP1, AMP2, CONVRT, ZVECV, ZVECM,
NX, ND, NC, NA1, NA2, KD, KC, KA1, KA2)
- .15.02 BEAM - SHEAR, MOMENT TRANSFORMATION
CALL VMTR1 (PP, Z, NPP, *NZ, KZ)
*NZ=2NPP WILL BE DEFINED BY VMTR1. USE SYMEO1.

.16 TIME RESPONSE

.16.01 FORCE IS OBTAINED BY LINEAR INTERPOLATION USING TABT,TAPF
 CALL TRSPI (*A,*F,*C,*D,TAPT,TAPF,XDO,XO,STARTT,DELTAT,
 ENDT,NWRITE,NX,NRTAF,NCTAB,6HXNAME ,KAFCD,
 KTAF,NXTAPE,NUT1)
 *MATRICES A,F,C,D ARE DESTROYED.
 USES INVI,MULTB.
 MAX NX = 250
 MAX NRTAF = 500
 CALL TRSPIB (F,C,D,TAPT,TAPF,XDO,XO,STARTT,DELTAT,ENDT,
 NWRITE,NX,NRTAF,NCTAF,6HXNAME ,KECD,KTAF,NXTAPE)
 MAX NX = 250
 MAX NRTAF = 500
 CALL TRSP2 (*A,*F,*C,*D,TAPT,TAPF,XDO,XO,STARTT,DELTAT,
 ENDT,BETA,NWRITE,NX,NRTAF,NCTAB,6HXNAME ,KAFCD,
 KTAF,NXTAPE,NUT1)
 *MATRICES A,B,C,D ARE DESTROYED.
 USES INVI,MULT,MULTE.
 MAX NX = 250
 MAX NRTAF = 250
 CALL TRSP3 (*AVEC,*VVEC,*CVEC,*D,TAPT,TAPF,*XDO,*XO,
 STARTT,DELTAT,ENDT,NWRITE,NX,NRTAF,
 NCTAB,6HXNAME ,KD,KTAF,NXTAPE)
 *VECTORS AVEC,VVEC,CVEC,XDO,XO, MATRIX D ARE DESTROYED.
 MAX NX = 250
 MAX NRTAF = 500
 MAXIMUM UNIQUE TIMES PAST STARTT IN TABT = 250.

.16.02 FORCE IS CALCULATED AS $(1 - \cos)/2$
 CALL TRSPIA (*A,*F,*C,*D,FMAG,FPP,VFL,GL,XDO,XO,STARTT,
 DELTAT,ENDT,NWRITE,NX,NF,6HXNAME ,KAFCD,
 NXTAPE,NUT1)
 *MATRICES A,B,C,D ARE DESTROYED.
 USES INVI,MULTE.
 MAX NX = 250
 MAX NF = 500
 CALL TRSPIC (F,C,D,FMAG,FPP,VFL,GL,XDO,XO,STARTT,DELTAT,
 ENDT,NWRITE,NX,NF,6HXNAME ,KECD,NXTAPE)
 MAX NX = 250
 MAX NF = 500
 CALL TRSP2A (*A,*F,*C,*D,FMAG,FPP,VFL,GL,XDO,XO,STARTT,
 DELTAT,ENDT,BETA,NWRITE,NX,NF,6HXNAME ,KAFCD,
 NXTAPE,NUT1)
 *MATRICES A,B,C,D ARE DESTROYED.
 USES INVI,MULT,MULTE.
 MAX NX = 250
 MAX NF = 250

.16 TIME RESPONSE (CONTINUED)

.16.03 ADDITIONAL EQUATIONS

```
CALL TRAE2 (6HXRUNNO,6HXNAME ,IFA,A,IFB,B,IFC,C,IFD,D,  
           IFE,E,ZTMM,STARTT,ENDT,MLTXTP,NWRITE,*ZIDENT,  
           **STA,6HZNAME ,NZ,KZ,NXTAPE,NZTAPE,STOREZ)  
*Z HEADING (12A6 FORMAT).  
**STATIONS (A6 FORMAT).  
MAX NX = 250
```

.16.04 TIME RESPONSE MAX-MINS

```
CALL TRMM (6HXRUNNO,6HXNAME ,XTMM,STARTT,ENDT,*NX,  
          KX,NXTAPE)  
*NX IS DEFINED IN SUPROUTINE, USE SYMPL.  
MAX NX = 250
```

.16.05 POWER SPECTRAL DENSITY OF ADDITIONAL EQUATIONS

```
CALL TRPSD (6HXRUNNO,6PXNAME ,IRAF,IEXP,STARTT,MLTXTP,  
           ZPSD,NRFREQ,TIMPER,NXTAPE,WRKV)
```

.17 FREQUENCY RESPONSE

.17.01 RESPONSE SOLUTION

CALL FRI (*A,*B,*C,*D,TAPW,TARF,OMEGA,NX,NOMEGA,
NRTAB,NCTAB,KAECD,KTAB,WRKM,NTAPE)

*MATRICES A,B,C,D ARE DESTROYED.

B MUST BE NON-SINGULAR.

USES INV1,MULT,MULTF.

MAX NX = 50

MAX NRTAB = 80

.17.02 ADDITIONAL EQUATIONS

CALL FRAE1 (A,*STA,**ZIDENT,NZ,NX,NOMEGA,KA,NXTAPE,
NZTAPE)

*STATIONS (A6 FORMAT).

**Z HEADING (12A6 FORMAT).

MAX NZ = 80

MAX NX = 50

APPENDIX B. SUMMARY OF CALLING INSTRUCTIONS -
SPARSE FORMA SUBROUTINES.

*** LIST OF SYMBOLS ***

A = INPUT MATRIX
ALPHA = INPUT SCALAR
BETA = INPUT SCALAR
NUTA = LOGICAL NUMBER OF UTILITY TAPE CONTAINING INPUT MATRIX A
NUTB = LOGICAL NUMBER OF UTILITY TAPE CONTAINING INPUT MATRIX B
NUTZ = LOGICAL NUMBER OF UTILITY TAPE CONTAINING OUTPUT MATRIX Z
AVEC = INPUT VECTOR (ROW OR COLUMN MATRIX)
IVEC = INPUT VECTOR (ROW OR COLUMN MATRIX), INTEGER
Z = RESULT MATRIX
ZVEC = RESULT VECTOR
W = MATRIX WORK SPACE
NR = NUMBER OF ROWS
NC = NUMBER OF COLUMNS
KR = ROW DIMENSION
KC = COLUMN DIMENSION
V = VECTOR WORK SPACE
LV = VECTOR WORK SPACE, INTEGER
KV = V, LV DIMENSION
NUTI = LOGICAL NUMBER OF ITH UTILITY TAPE
NTAPE = LOGICAL NUMBER OF FORMA RESERVE TAPE

- .01 MISCELLANEOUS
 - .01.01 CONVERSION
CALL YSTOD (NUTA,Z,*NR,*NC,KF,KC,V,LV,KV,NUT1)
*NR,NC WILL BE DEFINED BY YSTOD. USE SYMBOLS.
USES YIN,YINI,ZZBOMB.
 - .01.02 ORDER MATRIX NON-ZERO ELEMENT LOCATIONS ROWWISE
CALL YLOCED (NUTA,V,LV,KV,NUT1,NUT2)
USES YIN,YINI,YOUT,YOUTI,YPART,ZZBOMB.
 - .01.03 ELIMINATE ZERO ELEMENTS
CALL YNZER (NUTA,V,LV,KV,NUT1)
USES YIN,YINI,YOUT,YOUTI,YPART,ZZBOMB.
 - .01.04 REPARTITION
CALL YPART (NUTA,V,LV,KV,NUT1)
USES YIN,YINI,YOUT,YOUTI,ZZBOMB.
 - .01.05 COPY TO ANOTHER TAPE
CALL EQUAL (NUTA,NUT2,V,LV,KV)

.02 INPUT

.02.01 REAL NUMBERS

CALL YREAD (NUTZ,V,LV,KV,NUT1)

USES INTAPE,LTAPE,PAGEHD,YIN,YINI,YOUT,YOUT1,YPART,
YRTAPE,YWRITE,YWTAPE,ZZBOMB.

CARD INPUT (SAME AS READ EXCEPT SHAPE)

FIRST CARD - ZNAME,NR,NC WITH A6,I4,I3 FORMAT.
MATRIX SHAPE IN COLUMNS 16-21.
REMARKS IN COLUMNS 22-69.
\$ IN COL 72 FOR WRITE TAPE INITIALIZE.
BLANK,REWIND,LIST,OR TAPEID (FOR WRITE
TAPE) IN COLUMNS 73-78.
NWTAPE IN COLUMNS 79-80.

MIDDLE CARDS - DATA WITH 2I5,4E17 FORMAT.

LAST CARD - TEN ZEROS IN COLUMNS 1-10.

TAPE INPUT (SAME AS READ)

ONE CARD - ZNAME,C OR -LOCATION,NRTAPE (WITH - FOR
NO WRITE OUT),ZRUNNO WITH
A6,I5,A6 FORMAT
BLANK,REWIND,OR LIST (FOR READ TAPE)
IN COLUMNS 22-27.
REMARKS IN COLUMNS 28-69.
\$ IN COL 72 FOR WRITE TAPE INITIALIZE.
BLANK,REWIND,LIST,OR TAPEID (FOR WRITE
TAPE) IN COLUMNS 73-78.
NWTAPE IN COLUMNS 79-80.

.03 OUTPUT

- .03.01 PRINT REAL NUMBERS
 CALL YWRITE (NUTA,6H ANAME,V,LV,KV)
 USES PAGEHD,YIN,YINI,ZZBOMB.
- .03.02 PUNCH REAL NUMBERS
 CALL YPUNCH (NUTA,6H ANAME,V,LV,KV)
 USES YIN,YINI,ZZBOMB.

.04 TAPE OPERATIONS

REWIND NRTAPE,NWTAPE AT BEGINNING OF MAIN PROGRAM.
SEE APPENDIX A FOR TAPE INITIALIZING, LISTING, AND UPDATING.

.04.01 READING

CALL YRTAPE (6HZRUNMC,6H ZNAME,NUTZ,V,LV,KV,*NRTAPE,NUT)
*NRTAPE MUST BE A READ,WRITE TAPE ONLY.
USES LTAPE,YIN,YINI,YOUT,YOUTI,ZZFCMB.
CALL YIN (NUTA,ZVEC,LS,LE)
CALL YINI (NUT,IA,NS,NF)

.04.02 WRITING

CALL YWTAPE (NUTA,6H ANAME,V,LV,KV,*NWTAPE)
*NWTAPE MUST BE A READ,WRITE TAPE ONLY.
USES YIN,YINI,ZZFCMB.
CALL YOUT (NUTA,AVEC,LS,LE)
CALL YOUTI (NUT,IA,NS,NE)

.05 GENERATION

.05.01 BASIC

CALL YUNITY (NUTZ, NR, V, LV, KV)

USES YOUT, YOUTI.

CALL YZERO (NUTZ, NR, NC)

USES YOUT, YOUTI.

.05.02 RAYLEIGH VECTORS

CALL YRVI (NUTZ, N, NU, V, LV, KV, NUT1, NUT2, NUT3)

USES YIN, YINI, YLORD, YOUT, YOUTI, YPART, YTRANS, ZZBOMP.

.06 ALGEBRA

.06.01 SCALAR PRODUCT
 CALL YAA (ALPHA,NUTA,NUTZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART,ZZFCME.

.06.02 ADDITION, SUBTRACTION
 CALL YAAB (ALPHA,NUTA,BETA,NUTB,NUTZ,V,LV,KV,NUT1,
 NUT2)
 USES XLORD,YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART,
 YSYMLH,YSYMUH,ZZFCME.

.06.03 MULTIPLICATION - BASIC
 CALL YMULT (NUTA,NUTE,NUTZ,V,LV,KV,NUT1)
 USES YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART,YSYMLH,
 YSYMUH,ZZFCME.

.06.04 MULTIPLICATION - SPECIAL
 CALL YMULT1 (NUTA,NUTE,NUTZ,V,LV,KV,NUT1)
 USES YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART,YSYMLH,
 YSYMUH,ZZFCME.
 CALL YMULT2 (NUTA,NUTE,NUTZ,W1,W2,V,LV,KV,KW,NUT1)
 USES YDTOS,YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART,
 YSYMLH,YSYMUH,ZZFCME.
 CALL YMULT4 (NUTA,F,NUTZ,W,V,LV,KV,KW,NUT1)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,ZZFCME.

.06.05 TRIPLE MATRIX PRODUCT
 CALL YB7AE (NUTA,NUTE,NUTZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YMULT,YNOZER,YOUT,YOUTI,YPART,
 YSYMLH,YSYMUH,ZZFCME.

.06.06 DECOMPOSITION
 CALL YDCM3A (NUTA,NUTU,NUTD,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,YTRANS,ZZFCME.
 CALL YDCM3 (NUTA,NUTU,NUTD,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,YTRANS,ZZFCME.

.06.07 PACK SOLUTION
 CALL YBSL3A (NUTU,NUTD,NUTE,NUTZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,YTRANS.

.07 MODIFICATION

.07.01 ASSEMBLY

CALL YASSEM (NUTA,IPZ,JCZ,*NUTZ,V,LV,KV,NUT1,NUT2,NUT3)
 *IF SURF Z IS DEFINED. (CALL YZERO TO CLEAR NUTZ).
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,YSYMLH,YSYMUH,
 ZZFCME.

.07.02 DISASSEMBLY

CALL YDISA (NUTA,IRA,JCA,NUTZ,NFZ,NCZ,V,LV,KV,NUT1)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,ZZFCME.

.07.03 REVISION

CALL YRVAD (ALPHA,NUTA,IVEC,JVEC,*NUTZ,V,LV,KV,NUT1,
 NUT2,NUT3,NUT4)
 *IF SURF Z IS DEFINED. (CALL YZERO TO CLEAR NUTZ).
 USES XLORD,YAABE,YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,
 YPART,YSYMLH,YSYMUH,ZZFCME.
 CALL YRVAD1 (ALPHA,A,IJVEC,*NUTZ,NFA,V,LV,KV,KA,NUT1,
 NUT2,NUT3,NUT4)
 *IF SURF Z IS DEFINED. (CALL YZERO TO CLEAR NUTZ).
 USES XLORD,YAABE,YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,
 YPART,YSYMLH,YSYMUH,ZZFCME.
 CALL YRVAD2 (NUTA,NUTZ,NRZ,W,KW,V,LV,KV,NUT1,NUT2,NUT3)
 USES YIN,YINI,YOUT,YOUTI,YPART,ZZFCME.
 CALL YRVAD3 (NUTA,NUTZ,NRZ,NCZ,W,KW,V,LV,KV,NUT1,NUT2,NUT3)
 USES YIN,YINI,YOUT,YOUTI,YPART,ZZFCME.
 CALL YRVIS1 (A,JVEC,NUTZ,NFAZ,NCA,NCZ,V,LV,KV,KA)
 USES XLORD,YOUT,YOUTI,ZZFCME.
 CALL YRVTD (NUTA,IVEC,JVEC,Z,NFZ,NCZ,V,LV,KV,KZ)
 USES YIN,YINI,ZZFCME.

.07.04 TRANSPOSE

CALL YTRANS (NUTA,NUTZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,ZZFCME.

.07.05 SYMMETRIZE

CALL YSYMLH (NUTAZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART.
 CALL YSYMUH (NUTAZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YNOZER,YOUT,YOUTI,YPART.

.07.06 NULLIFY

CALL YZERLH (NUTAZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,ZZFCME.
 CALL YZFRUH (NUTAZ,V,LV,KV,NUT1,NUT2)
 USES YIN,YINI,YLORD,YOUT,YOUTI,YPART,ZZFCME.

.07.07 DIAGONALIZE

CALL YDIAG (NUTA,NUTZ,V,LV,KV)
 USES YIN,YINI,YOUT,YOUTI,ZZFCME.

.08 STIFFNESS

.08.01 REDUCTION

CALL YSPED2 (NUTA,NU,R,NUTT,NR,IF1,V,LV,KV,NUT1,NUT2,
NUT3,NUT4)

USES YASSEM,YDISA,YIN,YINI,YLOFD,YNOZER,YOUT,YOUTI,
YPART,YSYMLH,YSYMLH,YTRANS,YUNITY,YZERO,ZZRCMR.

.09 MODAL

.09.01 ITERATIVE RAYLEIGH-RITZ
CALL YMOD2A (NUTM,NUTK,NUTZ,W2,W,FREQ,NW,NU,SHIFT,TOLZ,
TOLW2,MAXIT,IFPRNT,V,LV,A,S,KVIN,KA,
NUT1,NUT2,NUT3,NUT4,NUT5,NUT6)
USES PTABA2,EIGNIA,INV4,MODEIX,NAME,PAGEHD,TIMCHK,
WRITE,WRITIM,XLORD,YAAFF,YBSL3A,YDCM3A,YDTOS,YIN,
YINI,YLORD,YMULT1,YMULT2,YMULT4,YNCZER,YOUT,YOUTI,
YPART,YRVI,YSTOD,YSYMLH,YSYMUH,YTRANS,YWRITE,ZZBOMB.

APPENDIX C. SUMMARY OF CALLING INSTRUCTIONS -
FINITE ELEMENT ROUTINES.

A 6H ARGUMENT MAY ALSO BE A VARIABLE READ WITH AN A6 FORMAT OF OBTAINED WITH A DATA STATEMENT.

*** LIST OF SYMBOLS ***

- NUTE = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ELEMENT UNIT LOAD BUCKLING MATRICES AND IVECS ARE OUTPUT.
NUTE MAY BE ZERO IF BUCKLING MATRICES ARE NOT FORMED.
USES FORTRAN READ, WRITE.
- NUTEL = LOGICAL NUMBER OF TAPE CONTAINING ELEMENT INPUT DATA FOR THIS SUBROUTINE AND SUBROUTINES AXIAL, ETC GIVEN BY NAMEL.
IF NUTEL = 5, DATA WILL BE READ FROM CARDS.
- NUTK = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ASSEMBLED STIFFNESS MATRIX IS OUTPUT IN SPARSE NOTATION.
NUTK MAY BE ZERO IF STIFFNESS MATRIX IS NOT FORMED.
USES FORM YIN, YOUT.
- NUTKX = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ELEMENT STIFFNESS MATRICES (SAME AS GLOBAL LOADS TRANSFORMATION MATRICES) AND IVECS ARE STORED.
NUTKX MAY BE ZERO IF STIFFNESS MATRIX IS NOT FORMED.
USES FORTRAN READ, WRITE.
- NUTLT = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ELEMENT LOCAL LOAD TRANSFORMATION MATRICES AND IVECS ARE OUTPUT.
NUTLT MAY BE ZERO IF LOAD TRANSFORMATIONS ARE NOT FORMED.
USES FORTRAN READ, WRITE.
- NUTM = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ASSEMBLED MASS MATRIX IS OUTPUT IN SPARSE NOTATION.
NUTM MAY BE ZERO IF MASS MATRIX IS NOT FORMED.
USES FORM YIN, YOUT.
- NUTMX = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ELEMENT MASS MATRICES AND IVECS ARE STORED.
NUTMX MAY BE ZERO IF MASS MATRIX IS NOT FORMED.
USES FORTRAN READ, WRITE.
- NUTST = LOGICAL NUMBER OF UTILITY TAPE ON WHICH ELEMENT STRESS TRANSFORMATION MATRICES AND IVECS ARE OUTPUT.
NUTST MAY BE ZERO IF STRESS TRANSFORMATIONS ARE NOT FORMED.
USES FORTRAN READ, WRITE.

.01 MISCELLANEOUS

.01.01 DIRECTION COSINES

CALL DCOS1A (CJ,EJ,Z,KCJ,KEJ,KZ)

USES EULER,MULTR,ZZBOMB.

CALL DCOS1B (CJ,EJ,Z,KCJ,KEJ,KZ)

USES EULER,MULTR,ZZBOMB.

CALL DCOS2 (CJ,EJ,Z,KCJ,KEJ,KZ)

USES EULER,MULTR,ZZBOMB.

CALL DCOS3C (CJ,EJ,Z,KCJ,KEJ,KZ)

USES EULER,MULTR,ZZBOMB.

.01.02 EULER ANGLES

CALL EULER (E,R,KR)

.01.03 TETRAHEDRON GEOMETRY

CALL TECEOM (CJ,JM,VL,DV,KCJ,IFBAD)

USES VCROSS,VDOT.

.02 FINITE ELEMENT MASS, STIFFNESS, BUCKLING, LOAD TRANSFORMATION,
STRESS TRANSFORMATION

CALL FINEL (XYZ,JDOP,EUL,NUTEL,NJ,NUTM,NUTK,NUTLT,
NUTST,NUTB,V,LV,KV,KRX,KRJ,KRE,NUTMX,NUTKX,
NUT1,NUT2,NUT3)

USES AXIAL,FAP,FLUID,GRAVTY,PAGEHD,QUAD,PECTSP,TRNGL,
REVAD2,ZZROMB.

CALL AXIAL (XYZ,JDOP,EUL,NUTEL,NJ,NUTMX,NUTKX,NUTLT,
NUTST,W,T,S,KX,KJ,KE,KW)

USES ATXPA1,ATXBB,DCOS1A,EULER,K1A1,M1A1,M1A2,MAS1A,
MULTA,MULTB,PAGEHD,STF1A,ZZROMB.

CALL BAR (XYZ,JDOP,EUL,NUTEL,NJ,NUTMX,NUTKX,NUTBX,
NUTLT,NUTST,W,T,S,KX,KJ,KE,KW)

USES ATXPA1,PIA1,B1A2,RTABA,BUC1B,DCOS1B,EULER,K1A1,
K1P1,K1C1,M1A1,M1A2,M1B1,M1B2,M1C1,M1C2,MAS1B,
MULTA,MULTB,PAGEHD,STF1B,ZZROMB.

CALL FLUID (XYZ,JDOP,EUL,NUTEL,NJ,NUTMX,NUTKX,NUTLT,NUTST,
W,T,S,KX,KJ,KE,KW)

USES TEGEOM,VCROSS,VDOT,ZZROMB.

CALL GRAVTY (XYZ,JDOP,EUL,NUTEL,NJ,NUTKX,W,T,S,KX,KJ,KE,KW)

USES KGRAV,MULTA,MULTB,VCROSS,ZZROMB.

CALL QUAD (XYZ,JDOP,EUL,NUTEL,NJ,NUTMX,NUTKX,NUTBX,
NUTLT,NUTST,W,T,S,KX,KJ,KE,KW)

USES ATXPA1,RTABA,DCOS2,EULER,K2A1,K2B1,M2A1,
M2A2,M2B1,M2B2,MAS2,MAS3,MULTA,MULTB,PAGEHD,
REVADD,STF2,STF3,ZZROMB.

CALL PECTSP (XYZ,JDOP,EUL,NUTEL,NJ,NUTMX,NUTKX,NUTLT,NUTST,
W,T,S,KX,KJ,KE,KW)

USES MAS3A,PAGEHD,STF3A,ZZROMB.

CALL TRNGL (XYZ,JDOP,EUL,NUTEL,NJ,NUTMX,NUTKX,NUTBX,
NUTLT,NUTST,W,T,S,KX,KJ,KE,KW)

USES ATXPA1,RTABA,DCOS2,EULER,K2A1,K2B1,M2A1,
M2A2,M2B1,M2B2,MAS2,MULTA,MULTB,PAGEHD,STF2,ZZROMB.

.03 MASS

.03.01 PCD

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CALL MASIA (CJ,EJ,A1,A2,RC,6HNAMFM ,KCJ,KEJ,KZ)
  USES ATXPB,EULER,M1A1,M1A2,ZZPOMP.
CALL M1A1 (A1,A2,RL,RC,Z,KZ)
CALL M1A2 (A1,A2,RL,RC,Z,KZ)
CALL MIC1 (PI1,PI2,RL,RC,Z,KZ)
CALL MIC2 (PI1,PI2,RL,RC,Z,KZ)

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.03.02 BFAM

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CALL MASIB (CJ,EJ,A1,A2,PI1,PI2,RC,6HNAMEM ,Z,W,KCJ,KEJ,
  KZ,KW)
  USES BTABA,DCOSIB,EULER,M1A1,M1A2,M1B1,M1B2,M1C1,
  MIC2,MULTB,ZZPOMB.
CALL M1B1 (A1,A2,RL,RC,Z,KZ)
CALL M1B2 (A1,A2,RL,RC,Z,KZ)

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.03.03 TRIANGLE

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CALL MAS2 (CJ,EJ,TMAS,RC,6HNAMEM ,Z,W1,W2,KCJ,KEJ,KZ,KW1,
  KW2)
  USES BTABA,DCOS2,EULER,M2A1,M2A2,M2B1,M2B2,MULTB,ZZEOMB.
CALL M2A1 (X2,Y3,TH,RC,Z,KZ)
CALL M2A2 (X2,X3,Y3,TH,RC,Z,T,R,KZ,KT,KR)
  USES PTABA.
CALL M2B1 (X2,Y3,TH,RC,Z,KZ)
CALL M2B2 (X2,X3,Y3,TH,RC,Z,T,R,KZ,KT,KR)
  USES PTABA.

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.03.04 QUADRILATERAL

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CALL MAS3 (CJ,EJ,TMAS,RC,6HNAMEM ,Z,W1,W2,KCJ,KEJ,KZ,KW1,
  KW2)
  USES PTABA,DCOS2,EULER,M2A1,M2A2,M2B1,M2B2,MAS2,
  MULTB,ZZEOMB.

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.03.05 RECTANGULAR SHEAR PANEL

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CALL MAS3A (CJ,EJ,TMAS,RC,6HNAMFM ,Z,W1,W2,KCJ,KEJ,
  KZ,KW1,KW2)
  USES BTABA,DCOS3C,M3C1,ZZPOMP.
CALL M3C1 (X3,Y3,TH,RC,Z,KZ)

```

.04 STIFFNESS

.04.01 ROD

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CALL STF1A (CJ,FJ,A1,A2,E,6HNAMEK ,6HNAMEST,S,TL,TS,NRST,
           KCJ,KEJ,KS,KTL,KTS)
      USES ATXEAI,DCOS1A,EULER,KIAI,MULTA,MULTB,ZZBOMB.
CALL KIAI (A1,A2,RL,E,Z,TS,KZ,KTS)
CALL KIC1 (TJ1,TJ2,R1,R2,RL,G,Z,TS,KZ,KTS)

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.04.02 BEAM

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CALL STF1B (CJ,EJ,KODE,A1,A2,TJ1,TJ2,PIZ1,BIZ2,PIY1,
           RIY2,R1,R2,CY1,CY2,CZ1,CZ2,SF,E,G,6HNAMEK ,
           6HNAMEST,S,TL,TS,NRST,KCJ,KEJ,KS,KTL,KTS)
      USES ATXBAI,DCOS1B,KIAI,KIBI,KIC1,MULTA,MULTB,ZZBOMB.
CALL KIBI (BI1,BI2,C1,C2,A1,A2,SF,RL,E,G,Z,TS,KZ,KTS)

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.04.03 TRIANGLE

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CALL STF2 (CJ,FJ,TMEM,TREN,F,ANU,6HNAMEK ,6HNAMEST,S,TL,TS,
           NRST,KCJ,KEJ,KS,KTL,KTS)
      USES ATXPAI,DCOS2,EULER,K2A1,K2B1,MULTA,MULTB,ZZBOMB.
CALL K2A1 (X2,X3,Y3,TH,E,ANU,Z,T,R,KZ,KT,KR)
      USES BTABA,MULTA,ZZBOMB.
CALL K2B1 (X2,X3,Y3,TH,E,ANU,Z,TS,T,KZ,KTS,KT)
      USES BTABA,MULTA,ZZBOMB.

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.04.04 QUADRILATERAL

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CALL STF3 (CJ,EJ,TMEM,TREN,F,ANU,6HNAMEK ,6HNAMEST,S,TL,TS,
           NRST,KCJ,KEJ,KS,KTL,KTS)
      USES ATXBAI,DCOS2,EULER,K2A1,K2B1,MULTA,MULTB,REVADD,
           STF2,ZZBOMB.

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.04.05 RECTANGULAR SHEAR PANEL

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CALL STF3A (CJ,FJ,TH,G,6HNAMEK ,6HNAMEST,S,TL,TS,NRST,KCJ,
           KEJ,KS,KTL,KTS)
      USES ATXBAI,DCOS3C,K3C1,MULTA,ZZBOMB.
CALL K3C1 (X3,Y3,TH,G,Z,T,KZ,KT)

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.04.06 FLUID

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CALL KGPAV (CJ,JM,FV,A,W,KW,KCJ)
      USES MULTA,MULTB,VCROSS.

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.05 BUCKLING

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CALL BUCIB (CJ,EJ,KODEB,6HNAMER ,Z,W,KCJ,KEJ,KZ,KW)  
      USES BIA1,BIA2,BTABA,DCOSIB,EULER,MULTB,ZZHOMB.  
CALL BIA1 (PL,Z,KZ)  
CALL BIA2 (PL,Z,KZ)
```

.06 FLUID PRESSURE

CALL PRESS (CJ,T,NJM,NCOL,KCJ,KW)
USES REVADD,INVIMP,MULTP.