## NS6-7369 <br> JPL-954880

```
(NASA-CR-157465) EVAATION OF THE N N * - 29131
PROPULSION CONTROL SYSTEM OF A PLANETARY
ROVER AND DESIGN OF A MAST FOR AN ELEVATION
SCANNING LASER/MULTI-DETECTOR SYSTEM UnClas
(Rensselaer polytechnic Inst.r Troy, N. Y.) G3/14 27170
```



# Rennselber Pohytechric Ifnctitute 

Troy New Todk 102u81

RPI TECHNICAI REPORT MP-58

# EVALUATION OF THE PROPULSION CONTROL SYSTEM OF A PLANETARY ROVER AND DESIGN OF A MAST FOR AN ELEVATION SCANNING LASER/MULTI-DETECTOR SYSTEM 

by
D. Knaub
S. Yerazunis

A STUDY SUPPORTED BY THE
NATIONAL AERONAUTICS AND SPACE ADMINISTRATION

Grant NSG-7369

School of Engineering
Page
LIST OF FIGURES ..... Y
SYMBOLIC NOTATION ..... v
ACKNOWLEDGEMENTABSTRACTvi゚i土xx
PART I
EVALUATION OF TEE PROPULSION CONTROL SYSTEM OF A PLANETARY ROVER

1. INTRODUCTION ..... 1
1.1 Preface ..... 1
1.2 The RPI Mars Roving Vehicle ..... 1
1.3 Bacycle Model ..... 3
2. MECHANICS OF THE BICYCLE MODEL ..... 5
2.1 Bicycle Model as a Three Force Member ..... 5
2.2 Wheel Relationshaps ..... 5
2.3 Bicycle Model Parameters ..... 10
3. FORMULA DERIVATIONS ..... 12
3.1 Vertical Wheel Loads ..... 12
3.2 Wheel Speeds ..... 14
3.3 Torque Relationships ..... 18
4. CONTROL SYSTEM ANALYSIS ..... 27
4.1 General Strategy ..... 27
4.2 Computer Analysis of Bicycle Model ..... 27
4.3 Speed-Torque Diagrams ..... 30
4.4 Control System Evaluation ..... 33
5. DISCUSSION AND CONCLUSIONS ..... 39
5.1 Bicycle Model as an Analytical Tool ..... 39
5.2 Future Work ..... 40
PART II
DESIGN OF A MAST FOR AN ELEVATION SCANNING LASER/MULTI-DETECTOR SYSTEM
6. INTRODUCTION ..... 42
6.1 Preface ..... 42
6.2 Laser Triangulation ..... 42
6.3 Design Criteria ..... 44
7. SELECTION OF MAJOR MECHANICAL CQMPONENTS ..... 47
7.1 Motors ..... 47
7.1.1 Mirror Motor ..... 47
7.1.2 Mast Motor ..... 48
7.2 Gears ..... 48
7.3 Mast Bearings ..... 49
7.4 Couplings ..... 50
7.4.1 Mirror Assembly ..... 51
7.4.2 Mast Encoder ..... 51
7.4.3 Slip Rings ..... 51
8. FTNAL DESIGN ..... 53
8.1 Elevation Scanner ..... 53
8,2 Optics Rack ..... 53
8,3 Lower Mast ..... 56
8.4 Detector Pointing Mechanism ..... 57
8.5 Mast Support Structure ..... 62
9. DISCUSSION AND CONCLUSTONS ..... 64
9.1 Summary ..... 64
9.2 Suggested Maintenance ..... 64
'9.3 Future Work ..... 64
REFERENCES ..... 66
APPENDIX A: Bicycle Model Computer Program and Output
APPENDIX B: Mechanical Components Purchased
APPENDIX C: Drawings of Mast Components

LIST OF FIGURES

|  |  | Page |
| :---: | :---: | :---: |
| Figure 1 | RPI Mars Roving Vehicle | 2 |
| Figure 2 | Bicycle liodel Clımbing a Slope | 6 |
| Figure 3 | Force Triangle | 7 |
| Figure 4 | Generalized Wheel | 9 |
| Figure 5 | Bicycle Model Parameters | 11 |
| Figure 6 | Bicycle Model in Generalized Position | 13 |
| Figure 7 | Bocycle Model Velocities | 16 |
| Figure 8 | Velocity Triangle | 17 |
| Figure 9 | Force.Triangle for a Given Position of Bicycle Model | 19 |
| Figure 10 | Rear Wheel Force Components | 21 |
| Figure 11 | Front Wheel Force Components | 22 |
| Figure 12 | Terrain Example of Appendix A | 29 |
| Figure 13 | Solution for $\mathrm{R}_{\mathrm{H}}=25.0, \not \subset=40^{\circ}$ | 31 |
| Figure 14 | Approximate Speed-Torque Curves | 34 |
| Figure 15 | Propulsion Control System | 35 |
| Figure 16 | Control System Evaluation Results | 38 |
| Figure 17 | Laser Txiangulation | 43 |
| Figure 18 | Multi-Laser/Multi-Detector System | 46 |
| Figure 19 | Elevation Scanner | 54 |
| Figure 20 | Optics Rack | 55 |
| Figure 21 | Lower Mast | 58 |
| Figure 22 | Detector Pointing Mechanism (front view) | 59 |
| Figure 23 | Detector Pointing Mechanism (section view) | 60 |
| Figure 24 | Mast Support Structure | 63 |


| $A, B$, | Points in a Kinematic link |
| :---: | :---: |
| $a, b, c$ | Vehicle dimensions |
| C.G. | Center of Gravity |
| F | Directed force ' on front wheel |
| $\stackrel{\rightharpoonup}{F}_{\text {H }}$ | Horizontal component of F |
| $\vec{F}_{\mathrm{N}}$ | Normal component of F |
| $\mathrm{F}_{\mathrm{T}}$ | Tangential component of F |
| $\stackrel{\rightharpoonup}{F}_{\mathrm{F}}$ | Vertical component of F |
| $T_{F}, T_{R}$ | Front and rear control systems |
| $K_{D}, K_{R}$ | Front and rear feedback gains |
| M | Point of contact between rear wheel and ground |
| N | Point of contact between front wheel and ground |
| P | Directed force |
| $\mathrm{P}_{\mathrm{N}}$ | Normal component of $P$ |
| $\mathrm{P}_{T}$ | Tangential component of $P$ |
| R | Directed force on rear wheel |
| r | Wheel radus |
| $\mathrm{R}_{\mathrm{H}}$ | Horizontal component of R |
| $\vec{R}_{N}$ | Normal component of R |
| $\mathrm{R}_{\mathrm{T}}$ | Tangential component of R |
| $\mathrm{R}_{\mathrm{v}}$ | Vertical component of R |
| T | Torque |
| $\mathrm{T}_{\mathrm{F}}, \mathrm{T}_{\mathrm{R}}$ | Torques required at front and rear wheels |


| $\mathrm{T}_{\mathrm{m}}$ | Motor torque |
| :---: | :---: |
| $\mathrm{T}_{\mathbf{s}}$ | Stall torque |
| $\mathrm{V}_{\mathrm{A}}, \nabla_{\text {B }}$ | Velocities of points $A$ and $B$ |
| $\overrightarrow{\mathrm{V}}_{\mathrm{B} / \mathrm{A}}$ | Velocity of point $B$ with respect to point A |
| $\overrightarrow{\mathrm{V}}_{\mathrm{F}}, \overrightarrow{\mathrm{~V}}_{\mathrm{R}}$ | Velocities of front and rear wheels |
| W | Directed force of total vehicle weight |
| $\alpha, \beta$ | Angles in velocity triangle |
| $\gamma_{F}$ | Angle between $F$ and $\mathrm{F}_{V}$ |
| $\gamma_{\text {R }}$ | Angle between $R$ and $R_{\nabla}$ |
| $\rho^{\rho}$ | Angle between F and $\mathrm{F}_{\mathrm{N}}$ |
| $\rho_{\text {R }}$ | Angle between $R$ and $\mathrm{R}_{T}$ |
| $\mu$ | Coefficient of static friction |
| ${ }^{\mu}{ }_{F}{ }^{\prime}{ }_{R}$ | Coefficients of static friction between ground and front and rear wheels |
| $\phi$ | Vehicle pitch |
| $\theta_{F},{ }^{\theta}{ }_{R}$ | Angles of slopes under front and rear wheels |
| $\omega_{\text {NL }}$ | No load rotational speed |

The author wishes to express his appreciation to project advisor Dr. Stephen Yerazunzs for his guidance and supervision. Thanks are also extended to several people who helped prepare this project: Mrs, Helen Hayes for the typung of the manuscript, Paul Sikora for the photographs, and Rich Lotti and Steve Markland for the drafting of most of the drawings in Appendix C. Lastly, the author would like to thank his parents, Donald and Charlotte Knaub, for thelr many years of encouragement and support,


#### Abstract

Two major problems related to an autonomous rover were investigated. First, the issue of a propulsion control system capable of responding to steering, slope climbing, and irregular local terrains was addressed. An approach to this task was developed and is applied to the RPI Mars Roving Vehicle. Second, the design of the mechanical system required to implement the elevation laser scanaing/multi-detector principle was undertaken and the system was constructed.


## PART I

EVALUATION OF THE PROPULSION CONTROL SYSTEM OF A PLANETARY ROVER

CHAPTER 1

## INTRODUCTION

### 1.1 Preface

A great deal of valuable scientific data and information has been obtained by the recent Viking massions to the surface of Mars. The photographs and sclentific measurements taken thus far have provided the impetus for a more thorough investigation of the planet. Should a followup mission in the form of an unmanned exploration of Mars be undertaken, autonomous rovers of exceptional mobility over a broad range of terrain classes will be required.

For more than five years, studies related to autonomous roving have been conducted at Rensselaer. One of the products of this research is the present RPI Mars Roving Vehacle, or MRV. The primary function of thas vehzcle is to serve as a test bed for evaluating short-range hazard detection system concepts. The propulsion control system of the RPI MRV was orıginally designed wath a degree of "softness," i.e., the ability to let the wheel speeds adjust to values appropriate for the local slopes encountered. While this type of propulszon control is entirely adequate for dealing with terrains of moderate irregularity, it may not be effectuve for extremely difficult terrains involving steps and other large variations of local slopes. A method of evaluating this propulsion control system has been conceived and applied to the RPI MRV.

## 1. 2 The RPI Mars Roving Vehıcle

The MRV developed at Rensselaer and shown in Figure I is a fourwheeled vehicle with a propulsion motor for each wheel. A gear train transfers

power between the wheels and the motors, reducing the motors' speeds and increasing their torques. The propulsion motors are series wound DC electric motors powered by commercial electrochemical batterzes carried in the vehicle's payload box.

The front axle unit of the MRV has two degrees of freedom whth respect to the vehicle's main structure. The first is a pivoting motion about a vertical axis which allows the front axle unit to turn and thereby steer the vehicle. The second is a pivoting motion about a longitudinal axis of the rover which provides it with stable four-wheel contact even though the local terrain gradients under the front and rear wheels may differ by as much as $35^{\circ}$.

The propulsion control system is responsible for driving the individual motors at speeds whych will prevent significant stretching or compressing forces on the vehzcle wheel base. Any imbalance on the part of the speed of the four wheels will be to stress various rover structural components or to slip the wheels. The former can in time lead to fatigue failure of the vehicle structure whereas the latter will result in high energy consumption and unacceptable navigation errors. The control system must also provide sufficient torque to be applied to the wheels to negotiate the terrains encountered. These two conditions provide a basis for evaluating the propulsion control system.

### 1.3 Bicycle Model

For this initial analysis, the MRV will be constrained to move straight ahead, i.e., the vehicle will follow a specified heading vector. Although effects from turning the front axle unit to steer on irregular terrains will not be considered at this time, this aspect can later be added to
the analysis. Since the vehicle is symmetrac about a vertical-longitudinal plane, only one side of the vehacle need be examined. This simplification permits a two-dimensional, two-wheeled model of the rover which will henceforth be called the Bicycle Model.

It is useful to consider the wheel torques to be composed of three components. The first is the torque required to resist gravity and hold the vehicle stationary on non-level terrain. Without this torque component, a free-wheeling rover would roll backwards down a slope. The second component is the torque necessary to overcome the friction in the drive system whach is mannfested primarily in the bearings, gears, and soil-wheel interface. Lastly, a torque component exists which makes the transition from the case of a rover moving up a slope at constant speed to one of accelerating up the slope. In general, it will not be required to accelerate the vehicle up a slope, so this torque component and the added complexities from dynamic conslderations will be ignored. A further simplification can be made since the frictional torque will be small compared to the torque component to resist gravity for the types of locallzed slope variations which pose the severest problems for the control system. The Bicycle Model will use only the gravityresisting torque, which can be determined from a static analysis of the vehicle.

## CHAPTER 2

MECHANICS OF THE BICYCLE MODEL

## 2.I Bicycle Model as a Three Force Member

The two-wheeled Bicycle Model of the RPI MRV climbing a slope can be considered a three force member. Techniques of force analysis from classical machine dynamics can be applied to the Bicycle Model as if it were a member in some machine. This analysis provides the basis for the torque derivations in Chapter 3.

The Bicycle Model is shown climbing in Figure 2. If inertalal and aerodynamic considerations are ignored, the vehicle is acted upon by only three forces: a gravitational force concentrated at the center of mass and a supporting force on each wheel. The gravitational force is equal to half of the vehicle's total weight due to symmetry. This force is completely defined at all times; its magnitude and direction are known and constant. On the other hand, the wheel forces, $\vec{R}$ and $\vec{F}$, are unknown, as their durections and magnitudes change as a function of the local terrann.

A useful relationshlp for these forces can be obtained by examining the case of the Bicycle Model located on an arbitrary slope with no motion. In this situation, the vehicle is in equilibrium, the vector sum of the three forces is zero, and a force triangle can be drawn as shown in Figure 3. Since only the $\frac{1}{2} W$ vector is known, there are an infinite number of ways in which a closed triangle can be formed. It will be shown in Chapter 3 that some limits can be applied to this triangle to obtann useful results.

### 2.2 Wheel Relationships

The soil-wheel interface is an exceedingly complex situation, as is shown in reference 1. For the sake of simplicity, phenomena such as wheel


FIGURE 2
Bixcycle Madel Climbing a Slope


FIGURE 3
Force Triangle
bulldozing, soil compaction, and adhesion will be ignored. The Bicycle Model will be developed with wheels and terrain surfaces which are rigid and uniform. This should be adequate for a first look at the propulsion control system.

A generalized wheel is shown in Figure 4. A torque $T$ is applied to the wheel by the motor and drive system. A force $\vec{P}$ is exerted on the wheel by the ground. This force may be broken into normal and tangential components, $\vec{P}_{N}$ and $\vec{P}_{T}$ respectively. $\vec{P}_{N}$ is normal to the local terrain, and its line of action passes through the wheel hub independent of the local terrain gradient. It is this component which supports the weight of the vehicle in a reference frame coincident to the sloped terrann. In contrast, $\vec{P}_{\mathrm{T}}$ is parallel to the terrain, and opposes the force generated by the wheel torque. The torque and tangential force component are related by

$$
T=P_{T} \mathrm{~T}
$$

where $r$ is the radius of the wheel, Note that $P_{T}$ equals zero if the wheel is unpowered.

An important relationshlp exists between $P_{T}$ and $P_{N}$. In order for the wheel not to slip wath respect to the ground, the equation

$$
P_{T} \leq \mu P_{N},
$$

where $\mu$ is the coefficient of static friction between the wheel and ground, must be satisfied. If the torque developed by the wheel is such that $\mathrm{P}_{\mathrm{T}}$ exceeds $\mu \mathrm{P}_{\mathrm{N}}$, slippage occurs, kinetic friction is encountered, and the actual tangential force developed by the wheel on-the ground is less than $\frac{T}{r}$. Slippage of a wheel not only wastes energy and torque, but it will also


FIGURE 4
Generalized Wheel
add errors to the vehicle navigation and should be avoided.

### 2.3 Bacycle Model Parameters

A brief discussion of the parameters used in the Bicycle Model, Figure 5, follows.

The center of gravity, C.G., of the vehicle is defined by the distances $a, b$, and $c$. The horizontal distances of the $C . G$. from the wheel. hubs are given by $a$ and $b$, while the vertical distance above the wheel hubs is given by $c$. The vehicle wheel base is $a+b$. The raduus of the wheels is r. Coefficients of static friction between the rear and front wheels and the ground are $\mu_{R}$ and $\mu_{F}$, respectively. The magnitude of the force $\frac{1}{2} \vec{W}$ is one half of the vehicle's total weight. These parameters are all constants of the model.

Inputs to the model axe the angles $\phi, \theta_{F}$, and $\theta_{R}$. The pitch of the vehicle is given by $\phi$, while $\theta_{F}$ and $\theta_{R}$ represent the local slope of the terrain under the front and rear wheels. All three angles can be either positive or negative, and are referenced to the horizontal in a gravityoriented coordinate system. They are considered posityve when measured in a counter-clockwise sense from the horizontal.

As before, $\vec{R}$ and $\vec{F}$ represent the total forces on the rear and front wheels. It will prove convenient to break these forces into two sets of components. The first set is relatzve to level ground. It gives horizontal and vertical components, denoted by the subscripts $H$ and $V$ respectively. The second set of components is taken with respect to the slope of the terrain immediately under the wheel. Force components normal and tangent to the ground are obtalned, denoted by the subscripts $N$ and $T$. Note that for the $N$ and $T$ components, the reference frames at the front and rear wheels will be different when $\theta_{F}$ and $\theta_{R}$ are different.


FIGURE 5

## CHAPTER 3

## FORMULA DERIVATIONS

### 3.1 Vertical Wheel Loads

A relationship can be obtained that will help define the force triangle described in section 2.1. It involves the vertical components of the forces acting on the wheels. For any given position of the vehicle, these vertical components must sum to match one half of the total vehicle weight. In addition, these components must have values so that the overall moment on the vehicle is zero. These two conditions wall completely define $R_{V}$ and $F_{V}$, the vertical components of the wheel forces.

The bicycle model is shown in a generalized position in Figure 6. The wheels touch the ground at points $M$ and $N$ at which $R_{V}$ and $F_{v}$ act on the model. The value of $\mathrm{F}_{\mathrm{v}}$ can be obtaaned by summing moments about point M :

$$
\begin{align*}
& \frac{I}{2} W\left(-r \sin \theta_{R}+a \cos \phi-c \sin \phi\right)- \\
& F_{V}\left(-r \sin \theta_{R}+(a+b) \cos \phi+r \sin \theta_{F}\right)=0  \tag{3.1.1}\\
& F_{V}=\frac{1}{2} W \frac{\left(a \cos \phi-c \sin \phi-r \sin \theta_{R}\right)}{\left((a+b) \cos \phi+r \sin \theta_{F}-r \sin \theta_{R}\right)} \tag{3.1.2}
\end{align*}
$$

The value of $R_{v}$ can now be found from

$$
\begin{equation*}
R_{v}=\frac{1}{2} W-F_{v} \tag{3.1.3}
\end{equation*}
$$

It. can be seen that the components $R_{v}$ and $F_{v}$ are now known based solely on the geometry of the situation. Note that these equations are valid for both positive and negatuve slopes and vehicle pitches.

The values of $R_{V}$ and $F_{V}$ can be used as a check on the stability of the bicycle model on slopes. Should the model become tipped so that the


FIGURE 6
Bicycle Model in Generalized Position
center of gravity ls directly above one of the wheel contact points, one component will support all the weight and the other will reduce to zero. If the model tips a little more, the zero component will have to become negatuve, or downward in direction, in order to manntain moment equilıbrium. Since the ground can't exert a downward force on a wheel resting on it, an excess moment will result on the model and it will fall off the slope.

### 3.2 Wheel Speeds

An important consideration in the bicycle model is that of obtanning the correct ratio of front and rear wheel speeds when climbing obstacles. This ratio must change as different slopes are encountered; otherwise, excessive strains will be imposed on the vehicle's structure and wheels will. slip. The mathematical analysis which Eollows relates the wheel velocity ratio to the geometry of the terrain.

A kinematic principle of mechanism analysis is that the velocıty of one point in a link is equal to the velocity of another point in the link plus the relatuve velocity between the two points. In equation form wath points $A$ and $B$, this is

$$
\vec{V}_{B}=\vec{V}_{A}+\vec{V}_{B / A}
$$

where $\vec{V}_{B / A}$ is the velocity of point $B$ with respect to point A. The frame of the Bicycle Model can be considered a link in some mechannsm with the wheel hubs labeled points $F$ and $R$ as shown in Figure 7. As long as each wheel remains on its own constant slope, the linear velocity of a hub can represent the rotational velocity of a wheel. The rear hub velocity is $\vec{V}_{R}$, and it must be directed parallel to the ground under the rear wheel.

1. In lake manner, the front hub velocity $\overrightarrow{\mathrm{V}}_{\mathrm{F}}$ must be directed parallel to the ground under the front wheel. The velocity of Point $F$ with respect to Point $R$ can be found by looking at the possible relative motions of the two points. Since they are connected by a rigid link, no relative motion of the two points along the link is allowed (they are separated by a constant distance). The only way that Point $F$ can move relatave to Point $R$ is to rotate about it. Point $F^{\prime}$ s instantaneous velocity is therefore perpendicular to the frame connecting Points $F$ and R .

With the above information, the vector equation

$$
\vec{V}_{F}=\vec{V}_{R}+\vec{V}_{F / R}
$$

can be written. This equation is shown graphically in Figure 8. Two angles of this velocity triangle are known. The angle between the vectors $\vec{V}_{F}$ and $\vec{V}_{R}$ is $\theta_{F}-\theta_{R}$. The exterior angle between vectors $\vec{V}_{F / R}$ and $\vec{V}_{R}$ is $90^{\circ}+\phi-\theta_{R}$. This is obtained by knowing the the direction of $V_{F / R}$ is $\phi+90^{\circ}$ from horizontal. The angles $\alpha$ and $\beta$ of Figure 8 can now be determined as follows:

$$
\begin{align*}
\left(\theta_{\mathrm{F}}-\theta_{\mathrm{R}}\right)+\alpha & =90^{\circ}+\phi-\theta_{\mathrm{R}} \\
\alpha & =90^{\circ}+\phi-\theta_{\mathrm{F}} \\
\left(\theta_{\mathrm{F}}-\theta_{\mathrm{R}}\right)+\alpha+\beta & =180^{\circ} \\
\beta & =180^{\circ}-\left(\theta_{\mathrm{F}}-\theta_{\mathrm{R}}\right)-\alpha \\
\beta & =180^{\circ}-\theta_{\mathrm{F}}+\theta_{\mathrm{R}}-\left(90^{\circ}+\phi-\theta_{\mathrm{F}}\right) \\
\beta & =90^{\circ}+\theta_{\mathrm{R}}-\phi
\end{align*}
$$



FIGURE 7
Bicycle Model Velocities


FIGURE 8
Velocity Triangle

$$
\begin{align*}
\frac{\mathrm{V}_{\mathrm{F}}}{\sin \beta} & =\frac{\mathrm{V}_{\mathrm{R}}}{\sin \alpha} \\
\frac{\mathrm{~V}_{\mathrm{F}}}{\mathrm{~V}_{\mathrm{R}}} & =\frac{\sin \beta}{\sin \alpha} \\
\frac{\nabla_{\mathrm{F}}}{\mathrm{~V}_{\mathrm{R}}} & =\frac{\sin \left(90^{\circ}-\phi+\theta_{\mathrm{R}}\right)}{\sin \left(90^{\circ}+\phi-\theta_{\mathrm{F}}\right)}
\end{align*}
$$

This expression gives the ratio of the front to the rear wheel velocities in order for no wheel slipping to occur. It is dependent only on the terrann and the position of the vehicle.

### 3.3 Torque Relationships

It was shown in Section 2.1 that the bicycle model is acted upon by three forces only. A force trangle representing these forces can be drawn which has an infinite number of solutions. By applying the no-slip wheel conditions of Section 2.2 , some limits can be placed on the solutions. The limits on the force solutions can then be used to find a range of possible wheel torques which will satisfy the given mput requirements.

The equations derived in section 3.1 give the vertical components of the wheel loads, $R_{V}$ and $F_{V}$, for any given position of the bicycle model. The sum of these components must equal $\frac{1}{2} W$ for equilibrium. Knowing the vertical components of the wheel loads allows a locus of possible solutions to be obtained for a given position, as shown in Figure 9. The locus is seen to be a straight line. A significant consequence of Figure 9 is that for every solution, the horizontal components of the two wheel forces are equal in magnitude but opposite in sign.

## ORIGINAL PAGE IS OE POOR QUALITY



FIGURE 9.

Force Triangle for a Given Postition of Bicycle Model

It will be useful now to relate the vertical-horizontal components of a wheel force to the normal-tangential components. This will be done with the aid of Figures 10 and 11, Let the angle $\gamma$ be a measure of the $\mathrm{H}-\mathrm{V}$ triangles. $\gamma_{R}$ is the angle between $\vec{R}$ and $\vec{R}_{V}$, and $\gamma_{F}$ is the angle between $\vec{F}$ and $\vec{F}_{V}$. It can be seen that

$$
\begin{align*}
& \gamma_{R}=\operatorname{Arc} \operatorname{Tan} \frac{R_{H}}{R_{V}} \\
& \gamma_{F}=-\operatorname{Arctan} \frac{F_{H}}{F_{V}}
\end{align*}
$$

A useful form of the second equation is

$$
\begin{align*}
& \gamma_{F}=-\operatorname{Arctan} \frac{\left(-R_{H}\right)}{F_{V}} \\
& \gamma_{F}=\operatorname{Arctan} \frac{R_{H}}{F_{V}}
\end{align*}
$$

Let the angle $\rho$ be a measure of the $N-T$ triangles. $\rho_{R}$ is the angle between $\vec{R}$ and $\vec{R}_{T}$, while $\rho_{F}$ is the angle between $\vec{F}$ and $\vec{F}_{N}$. By introducing the slopes $\theta_{R}$ and $\theta_{F}$ into Figures 10 and 11, relationships between $\rho$ and $\gamma$ can be obtained:

$$
\begin{align*}
& \rho_{R}=90^{\circ}-\theta_{R}-\gamma_{R} \\
& \rho_{F}=\theta_{F}-\gamma_{F}
\end{align*}
$$

Some trigonometric identities are needed:

$$
\sin \rho_{R}=\frac{R_{N}}{R}
$$


positive directions in H-V System:


$$
\begin{aligned}
& \text { POSITIVE DIRECTIONS } \\
& \text { IN N-T SYSTEM: }
\end{aligned}
$$



FIGURE 11
Front Wheel Force Components

$$
\begin{aligned}
& \cos \rho_{F}=\frac{F_{N}}{F} \\
& \cos \rho_{R}=\frac{R_{T}}{R} \\
& \sin \rho_{F}=\frac{F_{T}}{F} \\
& \cos \gamma_{R}=\frac{R_{V}}{R} \\
& \cos \gamma_{F}=\frac{F_{V}}{F}
\end{aligned}
$$

$$
\begin{align*}
R_{T} & =\frac{\cos \rho_{R}}{\cos \gamma_{R}} R_{V} \\
F_{T} & =\frac{\sin \rho_{F}}{\cos \gamma_{F}} R_{V} .
\end{align*}
$$

Equations 3.3.11 and 3.3.12 give the normal and tangential force components in terms of angles and vertical components that are known from the terrain slopes, vehicle position, and vehicle geometry. The only unknown quantity in the above equations is $R_{H}$. By iterating on $R_{H}$, the infinite number of force triangle solutions can be generated.

Boundaries can be placed on the solutions by requaring that the wheels do not slip. For the rear wheel, this would require that

$$
\left|R_{T}\right| \leq \mu_{R} R_{N} .
$$

$R_{T}$ can be either positive or negative while $R_{N}$ must always be posituve. For $R_{T}$ positive,

$$
\begin{gather*}
R_{T} \leq \mu_{R} R_{N} \cdot \\
\frac{\cos \rho_{R}}{\cos \gamma_{R}} R_{V} \leq \mu_{R} \frac{\sin \rho_{R}}{\cos \gamma_{R}} R_{V} \\
\cos \rho_{R} \leq \mu_{R} \sin \rho_{R} \\
\frac{\sin \rho_{R}}{\cos \rho_{R}}=\tan _{R} \rho_{R}-\frac{1}{\mu_{R}} .
\end{gather*}
$$

For $R_{T}$ negative,

$$
-R_{T} \leq \mu_{R} R_{N} .
$$

Following the same procedure as above, it can be shown that

$$
\tan \rho_{R} \geq-\frac{1}{\mu_{R}}
$$

No slipping of the front wheel would require

$$
\left|F_{T}\right| \leq \mu_{F} F_{N}
$$

For $F_{T}$ positive,

$$
\begin{gather*}
F_{T} \leq \mu_{F} F_{N} \\
\frac{\sin \rho_{F}}{\cos \gamma_{F}} F_{V} \leq \mu_{F} \frac{\cos \rho_{F}}{\cos \gamma_{F}} F_{V} \\
\sin \rho_{F}=\mu_{F} \cos \rho_{F} \\
\frac{\sin \rho_{F}}{\cos \rho_{F}}=\tan \rho_{F} \leq \mu_{F} \cdot
\end{gather*}
$$

For $F_{T}$ negative,

$$
-\mathrm{F}_{\mathrm{T}} \leq \mu_{\mathrm{F}} \mathrm{~F}_{\mathrm{N}} \cdot \quad 3.3 .25
$$

Following the same procedure as above, it can be shown that

$$
\tan \rho_{F} \geq-\mu_{F}
$$3.3 .26

Equations $3.3 .17,3.3 .19,3.3 .24$, and 3.3 .26 give conditions which must be met if the wheels of the Bicycle Model are not to slip. The appropriate two-limit equations wall give bounds to the possible values of $R_{H}$ *

If a solution satisfies the limit equations, the wheel torques
required to hold the vehacle stationary on the terrain can be calculated. As shown in Section 2.2, it is the tangential force of the $N-T$ system which given the torque. Once the tangential force components are calculated from equations 3.3.12, the values of the required torques are found from

$$
\begin{array}{ll}
T_{R}=R_{T} r & 3.3 .27 a \\
T_{F}=F_{T} r & 3.3 .27 b
\end{array}
$$

A front and rear torque can be found for each possible force triangle solution.

## CHAPTER 4

PROPULSION CONTROL SYSTEM ANAEYSIS

### 4.1 General Strategy

A method has been conceived to evaluate the propulsion control system and it will now be described. For a given vehicle position $\phi$ and terrain characterized by $\quad \theta_{F}$ and $\quad \theta_{R}$, a series of possible torque solutions can be calculated. The required ratio of front to rear wheel speeds can also be determined If the control system is capable of druving the wheels at the required ratio and at the same time satisfy one of the torque solutions, it is judged satisfactory for the specific vehicle position, $\phi$, By using the procedure for the range of
$\phi$ 's between $\theta_{R}$ and $\theta_{E}$, the ability of the control system to negotiate the terrain characterized by $\quad \theta_{R}$ and $\theta_{F}$ can be evaluated.

### 4.2 Computer Analysis of Bicycle Model

Because of the iteration which is required to obtain possible torque solutions of the Bicycle Model, the use of a computer program is suggested. Such a program was written and is 1isted in Appendix A whth its output. The program takes a specified, terrain and calculated possible torque solutions and required speed ratios for incremented vehicle positions. A brief description of the progran follows.

The program starts by reading and printing the inputs which remain constant throughout the calculations, These inputs are:
a) THF, THR: the slopes under the wheels $\theta_{F}$ and $\theta_{R}$
b) $A, B, C$ : vehzcle dimensions $a, b$, and $c$ as shown in Figure 5 .
c) MUF, MUR: coefficients of static friction $\mu_{F}$ and $\mu_{R}$
d) RHI, RHF: Initial and final values of $R_{H}$

## e) DELTTR ; change in $R_{H}$ between successive iterations <br> f) HALFW: half of the total vehicle weight <br> g) $R$ : wheel radius $r_{\text {. }}$

After this is done, the program goes about indexing the position of the vehicle,
$\phi$. The successive values of $\phi$ give the sequence of positions that the Bicycle Model goes through as it clambs the specified terrain. In the example given in Appendix $A$, $\phi$ starts at $0^{\circ}$, which corresponds to the point where the front wheel rests entirely on $\theta_{F}$. By increments of $5^{\circ}, \phi$ increases to $40^{\circ}$, which corresponds to just before the rear wheel moves from $\theta_{R}$ to $\theta_{F}$ These two conditions are illustrated in Figure 12.

At each value of $\phi$, subroutine BICYCL is called. The first step In BICYCL is to calculate the vertical wheel force components for the given from equations 3.1 .3 and 3.1.4. A check is made on the stability of the vehicle by the method described in Section 3.1. If the vehicle is unstable, the subroutines prints VEHICLE WILL TIP OVER. BICYCL next calculates VRAT. the required ratio of front to rear wheel speeds, from equation 3.2.11. After some comparison values are calculated and headings printed, the iteration process over $R_{H}$ is begun. For each value of $R_{H}$ between $R H I$ and RHF, the tangential force components are determined from equations 3.3.12, The two appropriate limit conditions are selected from among equations $3.3 .17,3.3 .19,3.3 .24$ and 3.3 .26 , and the solution is checked for wheel slipping. If no slipping occurs, the wheel torques are calculated from equations 3.3 .27 and printed. If slipping does occur, the subroutine will print WHEEL SLIPS. After elther case, $R_{H}$ is incremented and the next possible solution is calculated and checked, This is repeated until RHF is reached.

A few general remarks qbout the program are in order, Due to the way that the equations were derived, they will be valid for negative $\theta$ 's and


FIGURE 12
Terrazn of Example in Appendix A
$\phi$ 's as well as positive ones. This will allow many different terrain situations to be examined. A warning should be given for the $\theta^{\prime}$ s to not exceed $\pm 90^{\circ}$, as the equations then break down.

The $R_{H}=15.0$ solution for $\phi=40^{\circ}$ is shown in Figure 13. Note that a negative torque is required of the front wheel. From force considerations, this case would be satisfactory for resisting gravity and maintaining the vehicle's position on the terrain. However, it is absurd to apply a negative torque to one wheel and a positive torque to the second, as they oppose and fight against each other. For this reason, all possible solutions glving torques with opposite signs will bediscarded. Note that both torques should be negative when the vehicle is moving down a slope.

### 4.3 Speed-Torque Diagrams

The final information required to analyze the control system of the Bicycle Model is the speed-torque curve of each motor-wheel system. For a given input current from the motor drivers, a definzte relationship exists between the speed of the wheel and the wheel torque developed. This relationship is often expressed in a plot of the torque versus speed, There will be a different speedtorque curve for each input current to the motor-wheel system.

The speed-torque relationship can be derived analytically, However, the expressions are very complex and involve parameters such as the feedback gains, the gear reductions, the efficiency of the gears, and the currents, voltages, resistances, and inductances of the motor's armature and field. The derivation of the equations and measurements of the necessary quantities is outside the scope of this investugation.

An alternate method for obtaining the speed-torque relationship is by experiment. A dynamometer is a device which is used for this measurement. For a


FIGURE 13
Solution for $R_{H}=25,0, \phi=40^{\circ}$
constant motor input, the dynamometer puts a series of load torques on the motor and measures the resulting speeds. Reference 4 explans a speed-torque experiment conducted by the RPI Mars Roving Vehicle Project in 1974. Measurements similar to thas should be taken of the present motor-wheel systems on the MRV to obtain accurate speed-torque curves.

Although the refinements described above will eventually be required to develop an effective control system, the purpose at hand is equally well served by employing a rather simple concept to gain a first order appreciation of the control problem. Approximate speed-torque curves can be obtained by using information supplied by the motor manufacturers. The speed-torque curve of a permanent magnet D.C. motor is well represented by a straight line between the motor's no-load speed and its stall torque. This straight line form was assumed to hold for the armature-field, series wound D.C. motors used on the RPI MRV. A gear train efficiency of $87 \%$ was estimated in Reference 4 , and thus will be assumed to hold for the front as well as the rear gear trains. These allow approximate speed-torque curves to be drawn.

For the rear motor-wheel system, a gear reduction of $413: 1$ is used. The motor is a surplus aurcraft motor rated at 7500 rpm and $1 / 8$ horsepower. This would correspond to a motor torque of

$$
\left.T_{\mathrm{m}}=63,000 \underset{(\mathrm{rpm}}{(\mathrm{h} . \mathrm{p},}\right) \quad=1.05 \mathrm{in}-1 \mathrm{~b} .
$$

It will be assumed that this is the motor's stall torque, and that 7500 rpm is the motor's no-load speed. When put through the rear drive train, these become the wheel values of

$$
\begin{array}{rl}
W_{\mathrm{NL}}=\frac{(1)}{(413)}(7500)=18.2 \mathrm{rpm} & 4.2 .2 \\
\mathrm{~T}_{\mathrm{S}}=(.87)(413)(1.05)=377 \mathrm{in}-1 \mathrm{~b} & 4.2 .3
\end{array}
$$

The approximate speed-torque curve for the rear wheel is drawn in Figure 14 using the valus in equations 4.2 .2 and 4.2.3,

A gear reduction of $12.5: 1$ is used in the front motor-wheel system. The motor is a Boehm gear motor rated at 30 in- 16 torque and 166 rpm at full. 1oad. Assume that 30 in-lb is the gear motor's stall torque, and that 200 rpm is its no-1oad speed. When put through the front drive train, these become the wheel values of

$$
\begin{array}{ll}
\mathrm{W}_{\mathrm{NL}}=\left(\frac{1}{1] .4}\right)(200)=16.0 \mathrm{rpm} & 4.2 .4 \\
T_{\mathrm{S}}=(.87)(12,5)(30)=326 \mathrm{in}-1 \mathrm{~b} & 4.2 .5
\end{array}
$$

The approximate speed-torque curve for the front wheel is also drawn in Figure 14 using the values in equations 4,2.4 and 4.2.5.

### 4.4 Control System Evaluation

It is now possible to make a first order evaluation of the propulsion control system of the RPI MRV, The evaluation will be made for the Bicycle Model of the vehicle encountering a $40^{\circ}$ slope. The computer output of Appendix $A$ and the speed-torque curves of Figure 14 are used. A brief description of the propulsion control system is given first to clarify the evaluation.

The control system, shown in simplified form in Figure 15, is a passive one in that it functions automatically regardless of the local terrain, When roving, the Motor Drivers are told to move the vehicle forward at a specified cruising speed. The Drivers send out constant control currents $I_{R}$ and $I_{F}$ that would cause the front and rear wheels to propel the vehncle at the desired speed on level ground. These currents are unaffected by any load torques or


FIGURE 14


EIGURE 15
Propulsion Control System
speed fluctuations imposed on the wheels by obstacles. The control currents are fed into velocity monitored negative feedback loops where the effects of obstacles encountered enter the control system. Any changes in the load torques that occur on the wheels cause the velocities to change according to the speed-torque curves obtained for the constant control currents $I_{R}$ and $I_{F}$. The speed-torque curves are the physical manifestation of the propulsion control system and express the allowed relationship between wheel speeds and torques.

The strategy for making the evaluation is as follows. For the first position of the Bicycle Model at $\phi=\theta_{R}$ the possible solutions calculated by the computer which involve wheel slipping or opposing torques are eliminated. One of the remaining solutions is then used as a starting point. The values of $T_{F}$ and $T_{R}$ for this solution are found in the front and rear speed-torque curves respectively. Corresponding speeds $V_{F}$ and $V_{R}$ are then determined from the curves and their ratio is calculated and compared to VRAT. This process is repeated with other solutions until a solution is found which gives velocities in the ratio of VRAT. If a solution which results in a velocity ratio of VRAT is found, this is the condition of torques and speeds which the control system will automatacally execute in the given vehicle position $\phi$. The control system will be adequate for this position. If no solution can be found which will give wheel velocities in the ratio VRAT, the control system is incapable of getting the vehicle to the specufied position $\phi$. By examining each incremented $\phi$ position of the vehicle up to $\phi=\theta_{F}$ in a similar fashion, it can be determined if the control system will allow the vehicle to clumb the specified terrain.

The specific case of $\quad \theta_{R}=0^{\circ}$ and $\theta_{F}=40^{\circ}$ wIII now be examined, The first position of the Bicycle Model is $\phi=0^{\circ}$. The computer output of

Appendix A shows that no wheel slippage occurs in the range of $\mathrm{R}_{\mathrm{H}}{ }^{\mathrm{F}}$ s over which the iteration takes place. The remaining task is to see if one of the possible solutions satisfies the velocity requirements, A first guess of $R_{H}=25.0$ will be examined. The rear torque for $R_{H}=25.0$ is 250 in-lbs, Using this in the rear wheel speed-torque curve of Figure 14, a value of $\mathrm{V}_{\mathrm{R}}=.6 .1 \mathrm{rpm}$ is found. Taking the front torque calculated of 219 in-1bs into the front wheel speed-torque curve gives a value of $\mathrm{V}_{\mathrm{F}}=5.1 \mathrm{rpm}$. The speed ratio for this solution is

$$
\frac{V_{E}}{V_{R}}=\frac{5.1}{6,1}=.84 \quad 4,3,1
$$

This is less than the required ratio $\operatorname{VRAT}=1,305$, so the $R_{H}=29,0$ solution is tried. Entering the speed-torque curves with the solution torques of $T_{R}=290$ and $T_{F}=189$ nn-1bs gives the speeds $V_{R}=4.8$ and $V_{F}=6.1$ rpm. The ratio $V_{F} / V_{R}$ here is 1.63 , which is greater than VRAT. It can be shown that for $R_{H}=27.5$, the torques $T_{R}=\dot{255}$ and $T_{F}=200$ in-1bs have corresponding velocities $V_{R}=4.8$ and $V_{F}=6.1$ rpm. The ratio $V_{F} / V_{R}$ equals 1.27 which is close to the required VRAT $=1.305$. For some $R_{H}$ between 27.5 and 28.0 , there will be a solution which converges to the exact value of VRAT,

This procedure can be repeated for the other Bicycle Model positions to locate their correct solutions, A summary of the computer solutions whach are closest to VRAT for each position is shown in Figure 16. Again, there exist exact sołutions which will converge to VRAT that could be found by reducing the size between successive iterations of $R_{H}$. Since all the $\phi$ positions in Figure 16 can be satisfied, the present control system, as modeled, is capable of propelling the MRV from a level surface onto a $40^{\circ}$ slope,

| (degrees) | $\begin{aligned} & R_{\text {H }} \\ & (I b s) \end{aligned}$ | $\stackrel{T_{F_{1 b s}}}{\left(\mathrm{in}^{2}\right.}$ | $\begin{aligned} & V_{\left(F_{p q}\right)} \\ & \hline \end{aligned}$ | $\stackrel{T}{\mathrm{R}_{2}}\left(\mathrm{in}^{2}\right)$ | $\begin{aligned} & V_{\mathrm{B}} \\ & \left.{ }_{2} \mathrm{pm}\right) \end{aligned}$ | Solutions F/R | VRAT |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | - |  |  |  |  |  |  |
| 0 | 27.5 | 200 | 6.1 | 275 | 4.8 | 1,27 | 1,305 |
| 5 | 26.0 | 183 | 6.9 | 260 | 5.6 | 1.23 | 1.216 |
| 10 | 24.0 | 163 | 7.6 | 240 | 6.6 | 1.15 | 1.137 |
| 15 | 21.5 | 157 | 8.2 | 215 | 7.8 | 1.05 | 1.066 |
| 20 | 19.0 | 144 | 8.8 | 190 | 9.0 | . 98 | 1.000 |
| 25 | 16.5 | 129 | 9.6 | 165 | 10.2 | . 94 | . 938 |
| 30 | 13.5 | 115 | 10,2 | 135 | 11.6 | . 88 | . 879 |
| 35 | 10.0 | 100 | 11.0 | 100 | 13.4 | . 82 | , 822 |
| 40 | 6.5 | 82 | 11.8 | 65 | 15.1 | . 78 | . 766 |

FIGURE 16
Control System Solutions

## CHAPTER 5

## DISCUSSION AND CONCLUSIONS

5.1 Bicycle Model as an Analytical Tool

It has been shown that because of symmetry, the four-wheel RPI Mars Roving Vehicle can be modeled in a two-wheel bicycle configuration. By applying principles of mechanics to this model, possible solutions of the torques required of the wheels to hold the vehicle stationary on slopes can be found. These torques are relevant if vehicle accelerations and friction are ignored. With no acceleration, the frictional torque is small compared to the gravity resisting torque, and the assumptions are valid. In addition, friction is accounted for to some extert. by assigning efficiencies to the gear trains.

Once possible propulsion control system outputs have been calculated with the Bicycle Model, the requared speed ratio conditions can be applied. These conditions are dependent on the geometry of the vehicle and terrain. It can be seen that the output of the control system must satisfy both torque requirements to climb the slope, and wheel speed requirements to prevent wheel slipping and excessive strains in the vehicle structure. The speed-torque curve, which is a function of the control system, is a useful way of checking these requirements.

- The analysis technique described above has been used to make a first order evaluation of the present propulsion control system of the RPI MRV. The specific case of moving from a $0^{\circ}$ slope to a $40^{\circ}$ slope was examined. With the estimated speed-torque curves of the system, the present control system was found adequate. It has the capability to move the vehicle from the $0^{\circ}$ to the $40^{\circ}$ slope.


### 5.2 Future Work

Before any intensive analysis work is done, a better determination of the front and rear speed-torque curves should be made. As mentioned in Section 4.3, it would probably be best to measure the curves directly with some sort of dynamometer than to trust a whole series of measurements to use in an analytic expression. With accurate curves, a thorough examination of many terrains should be conducted to determine the strengths and limitations of the propulsion control system.

An attempt should be made to extend the two dimensional Bicycie Model to a three dimensional model of a Four-wheeled vehicle. This would permit the analysis of the important case of turning the vehicle on various slopes. It is known that wheel speeds must be adjusted when making turns. The question of how the control system correspondingly adjusts the torques, and thereby the climbing ability, should be addressed. New control system concepts may be requared which might involve monitoring torques or incorporating vencele strains into the feedback loops.

## PART II

DESIGN OF A MAST FOR AN ELEVATION SCANNING LASER/MULTIDETECTOR SYSTEM

## CHAPTER 6

INTRODUCTION

### 6.1 Preface

In order to travel in an autonomous manner, a planetary royer must have the capability of detecting obstacles and hazardous terrains. in its path, The RPI MRV is equipped with a furst order short range hazand detection system, $i, e_{,}$, the one laser/one detector concept, which is effective for simple obstacles and terrains involving moderate gradients, The chief drawback to the current system lies in its conservative characteristics. While the system can detect and avozd all real hazards, the detection and avoidance system interprets many possible terrains as hazardous because of the lack of sufficiently accurate data, An elevation scanning laser/multi-detector system which proyides more data of increased accuracy for discriminating between hazardous and non-hazardous terrains is under development. It was the objecm tive of this task to design and construct the mechanical systems required to implement this advanced data acquisition system.

### 6.2 Laser Triangulation

The hazard detection system for the RPI Rover is based on the concept of laser triangulation. This is illustrated in Figure 17 for the one laser/one detector system. If Terrain $A$ is scanned, the laser beam is reflected from Point A. This is below the detector's cone of viszon and is not "seen" by the detector, Similarly for Terrain C, the laser spot is at Point C, above the cone of vision, and is also not "seen", However, for Terrain B, the laser beam strikes the ground at Point $B$, The spot is within the cone of vision and a positive response is registered by the detector, By sweeping the laser beam


FIGURE 17
Laser Triangulation
and detector cone of vision in front of a planetary rover, information can be gathered for an artificial intelligence to interpret. By knowing the angles that the Laser and Detector are pointed in and the angle of the cone of vision, some judgments on unobstructed paths for the rover can be made. The RPI MRV presently employs a single laser/single detector system similar to that just described.

It is felt that a more refined and accurate picture of terrain features can be obtained by using many different detectors and laser shots at each position in the most sweep. This increases the amount of data available to the hazard detection algorithm, which can now provide more detailed information on the immediate terrain. The succeeding chapters document mechanical aspects of the design of such a multi-1aser, multidetector system.

### 6.3 Design Criteria

Many parameters such as scanning speeds and pointing angles were already determined by computer simulations and electronic component speed considerations. These also led to the decisions on selection of slip rings and position encoders, and on using a rotating 8 -sided mirror.

Since a totally new mast had to be designed, it was decided to abandon the oscillating type in favor of a continuously rotating mast. There were three major reasons for this decision. First, the power requirement would be reduced, This oscillating mast continuously requires power to accelerate and decelerate it at the ends of its sweep. The continuously rotating mast would only require a small amount of power to overcome friction once it reached its sweeping speed. Secondy, since it isn't accelerating and decelerating, the continuously rotating mast will impart
smaller vibrations to the vehicle, Lastly, the rotating mast can have its center of scan moved by starting the laser firing sequence at a different position. The reliability problems which axose from the tracking mechanism of the oscillating mast which physically pointed it in various directions can be avoided,

A number of general requirements for the multi-laser, multidetector system were defined. The design had to be flexible to allow experiments in hazard detection with different parameters. Critical components in the design had to be accurately positioned, as only small deviations in the locations of the laser spots can be tolerated. Simple adjustments had to be made to line up the system initially, Lastly, the weight had to be kept as low as possible to prevent any adverse effects on the vehicle"s performance, These considerations led to the design of the multi-laser/multi-detector system shown being bench tested in Figure 18 without the Detector.


FIGURE 18
Multi-Laser/Multi-Detector System

## CHAPTER 7

SELECTION OF MAJOR MECHANICAL COMPONENTS

### 7.1 Motors

The new mast required two motors, one to rotate the mirror and one to turn the mast, The two quantities used to evaluate motor candidates were their starting torque and time to come up to full speed, The approximate running speeds were again determined by electronic timing considerations related to the hazard detection system,

## 7,1,1 Mirror Motor

The first step in considering a mirror motor was to calculate the load inertia and starting torque. The value of the mirror"s inertia penciled on its brochure by the manufacturer was found to be incorrect. By assuming the mirror to be a cylinder instead of the suggested value of .03 inroz-sec ${ }^{2}$ was calculated and used instead of the suggested value of .002 in-oz-sec ${ }^{2}$. The total inertia of the mirror flanges, bearings, couplings and encoder were calculated to be .001 in-oz- $^{2}{ }^{2}$, making the load inertia

$$
J_{L}=.03+.001=.031 \text { in }-0 z-\sec ^{2}
$$

The starting torque for two ball bearings was estimated by a method outlined in Reference 5. This was found to be small compared to the starting torque of the Elevation Encoder, so the encoder's value of .15 oz -in was used.

Micro Mo Electronics of Cleveland is a distributor with a wide selection of miniature motors and seed reducers. Their 330/D09 motor with a $54: 1$ reduction 03/2 gear head looked like a good candidate. With
a no-load speed of 1690 rpm and a starting torque of 9.2 oz-in, it seemed to operate at the right speed and provide a healthy margin of safety for the torque calculation. Using an equation from Reference 3 with the motor and gear head data, an acceleration time of 60 milliseconds was calculated. A small time such as this was felt to be beneficial, as the mirror must rotate at a very precise speed and be adjusted back to the speed very quackly when it strays. This motor and gear head was ordered and appears satisfactory.

### 7.1.2 Mast Motor

The mast motor was selected in a similar manner. The inertia af the mast was estimated by assuming all its components to be cylinders or slabs, and summing inertias of each piece. A total inertia of 1.0 oz-in-sec ${ }^{2}$ was estimated. The total starting torque was estimated at 1.6 oz -in by the method used previously, There is a greater uncertainty in these estimates than in those for the mirror motor, as cylinder-slab assumptions and estimates of sleeve bearing characteristics were required. The motor selected was a Globe 168A229-2 gearmotor rated at 140 oz-in stall torque and a no-load speed between 68 and 83 rpm , Again, a large margin of safety is employed to account for errors in the analysis. The time to accelerate to full speed was calculated at 1,2 seconds, which would seem adequate.

### 7.2 Gears

Since the slip rings had to be put at the bottom of the mast, motor couldn't be coupled directly to the mast, The motor had to be separate and transfer power to the mast by some mechanisms, Spur gearing
was selected as the transfer mechanism for the new mast.
The Browning Power Transmission Equipment catalog recommends using the finest pitch gears possible for the smoothest, most economical operation. A larger pressure angle will generally allow a finer pitch to be used. W. M. Berg, Inc. had a wider selection of small size gears with $20^{\circ}$ pressure angles than Browning did so gears were selected fiom Berg. In order to allow as much room for the detector as possible, the mast motor is required to be as far away from the mast as possible. This would mean that the gear diameters should be as large as possible. The largest gears available from Berg have a pitch diameter of 4.0000 inches. For hubbed gears, the finest pitch available with 4.0000 inch pitch diameter is 64 pitch. It was decaded to purchase 64 pitch gears with pitch diameters of 4.0000 inches.

All of Berg's gears are A.G.M.A. Qualıty 10 with Class C Backlash. The technical section of the Berg manual gives the worst case of backlash for these gears as .0015 inches, For the gears selected above wath 2 inch radii, the angular play between the gears is

$$
\text { Arc } \operatorname{Tan} \frac{(.0015 \text { inch })}{2 \text { inch }}=.043^{\circ}=2.6 \text { minutes } 7.2 .1
$$

This appears to be an acceptable value.

### 7.3 Mast Bearings

The previous system of supporting the mast with a sleeve bearing in the middle and a ballbearing on the bottom has proven to be a good design, and is used on the new mast. The ball. bearing on the bottom supports the entire mast weight as a thrust load, and any rotational imbalance as a radial load. The imbalance load is generally smaller than the weight,

The sleeve hearing at the middle encounters only a radial load which again is usually small. The low load and slow rotational speed of the mast justifies the use of a simple sleeve bearing.

Since the thrust load on the ball bearing is the larger load, the bearing was selected according to this parameter, The literature from Federal Bearings Co, gave the most complete information on thrust loadings so a Federal bearing was selected. The thrust load, or mast weight, was calculated as a by-product in the mast inertia estimate of Section 6.1.2. A weight of 10 lbs was found, The Lower Mast Tube which would fit into the bearing was .75 inches in diameter. This size was determined by the diameter of the slip ring shaft which must fit inside the Lower Mast Tube. A ball bearing was found whose crutical thrust load was above 10 Ibs, the R12 FF bearing, and it was ordered.

The sleeve bearing selection was very straightforward, The Upper Mast Tube which it was to support had a diameter of 1.25 inches. The size just below this, a Randall SH-419 sleeve bearing, was purchased. The inside of thas bearing was bored accurately to size to provide a tight slide fit over the Upper Mast Tube. This will elimnate a good deal of play which was present here on the old mast.

### 7.4 Couplings

Flexible couplings are used to connect two shafts that may be slightly out of line. They are especially desirable if accurate positioning of the shafts with respect to each other is required. This is the case for the optical encoders in the new mast system,

### 7.4.1 Mirror Assembly

Couplings were needed for connecting the mirror shafts to the gear motor and to the encoder. It was beneficial to use as small a coupling as possible to minimize rotating imbalance in the mast. The smallest found were Helical Products 4042 one piece couplings which were ordered and` are operating properly,

### 7.4.2. Mast Encoder

The mast encoder is positioned directly under the mast motor, and a coupling was again needed. Since the shafts being connected were rotating at slow speeds and were not benng rotated on the mast, a standard coupling could be used. A Berg CC9-20-4 Flex-E-Grip coupling was found and installed.

### 7.4.3 Slip Rings

At first glance, the connection between the slip rings and the bottom of the mast would seem like an application requiring a flexible coupling. However, there is no reason for the slip ring shaft to rotate precisely with the mast. The slip ring manufacturer even stated that the slip ring shaft could be left unconnected to the mast so that the electrical wires running out of the shaft transmitted the torque to the rings in a haphazard fashion. This seemed like asking for trouble, so an intermediate design was used. The slip ring shaft would be held firmly in the Lower Mast Tube by set screws, and the main body of the slip rings would be loosely attached to the structure of the mast support. This would prevent any bearing stresses being transmitted to the main body of the slip rings by misalignment of the mast and slip ring shaft.

The mechanical components purchased are listed in Appendix B
along with the vendors from which they were obtazned.

CHAPTER 8
EINAL DESTGN

### 8.1 Elevation Scanner

The purpose of the Elevation Scanner is to rotate the 8 -sided mirror in a precisely controlled manner. This is essential for the multi-laser/multi-detector hazard detection system to function properly. The position of the mirror must be known within an acceptable tolerance in order to obtain the desired elevation angle for the laser.

The elevation scanner is shown in Figure 19. The $8 \rightarrow$ sided mirror is fastened to two mirror flanges with shafts that pass through the bearings. These shafts are connected by flexible couplings to the mirror motor and the elevation encoder shafts. The problem of lining up all the shafts and the requirement of exact position relationships forced the use of flexable couplings. The bearnngs were located as close to the mirror as possible to minimize bending of the mirror's supporting shafts. Slots were provided in the elevation encoder mounting plate to allow the body of the encoder to be moved for zeroing. Once zeroed, the screws through the slots could be tightened to hold the encoder firmly in position.

### 8.2 Optics Rack

The Optics Rack, shown in Figure 20, contains the laser and the lens required to focus the laser beam. The optics frame is the main structural member, supporting the elevation scamer at its top on to the upper most tube at its bottom. Within the frame, mounting plates for the laser and lens were fastened. They can be adjusted as described below.

The laser is firmly fastened to the laser mounting plate, which can slide forward and backward $\pm 3 / 16$ of an inch about the center position.



FIGURE 19
Elevation Scanner


FIGURE 20
Optics Rack

This center position is directly below the forward edge of the bottom mirror face when it is horizontal. The forward and backward adjustment of the laser was judged to be the important motion. A side to side adjustment would have made the design much more complicated and was ignored. It is believed that this adjustment can be accomplished equally well by adjusting the lens position.

The position of the lens can be adjusted in all three directions. Motions with respect to the two major dimensions of the lens plate can be accomplished by using the adjusting screws. These screws move the three lens feet which hold the lens, When a satisfactory position in these two directions has been found, the feet holders can be tightened down to clamp the feet in place. The entire lens plate can be moved up and down to make the third adjustment, The plate will move $\pm 3 / 4$ inches about the center position. The center position puts the lens 4 centmmeters above the laser and either 10 or 15 inches below the mirror, depending on whether Optics Frame "A" or "B" is used, Two frames of different lengths-were made due to the uncertainty in the optical specifications.

The bottom of the optucs rack is attached to the upper most tube by two mast clamps spaced $2--1 / 2$ apart. It was felt that two clamps would be required to get the necessary stiff support of the upper part of the mast. An electronics package for the Elevation Encoder is supported on the back of the clamps. It is out of the way at this location and close to a bearing so that the effect of its rotating imbalance on the mast is minimized.

1
8.3 Lower Mast

The Lower Mast is composed of a detector rack adapted to the lower
mast tube, Figure 21. The detector and detector pointing mechanism are mounted inside the rack. Holes are drilled every 1 inch in the detector frame, allowing the detector to be mounted at many discrete heights. The upper detector frame support makes the transition from the top of the rack to the upper mast tube. Similarly, the lower detector frame support adapts the rack to the lower mast tube. These circular tube sections are necessary to fit into the mast's bearings,

The lower mast tube has three important functions. The tube's shoulder rests on the upper edge of the lower mast bearing's inner race. This transfer the weight of the mast to the ball bearings. Secondly, the mast gear is slide fitted onto the tube in order to align it accurately at the center of rotation. The gear is subsequently bolted to the lower detector frame support. Lastly, the shaft of the slip rings fits into the bottom of the tube and is anchored there by set screws, The wires from the slip ring shaft pass through the hollow lower mast tube into the detector rack $_{\text {a }}$ area.

### 8.4 Detector Pointing Mechanism

A critical requirement of the new hazard detection system is that the detector must be accurately pointed. With the previous one laser/one detector system, a greater degree of "slop" could be tolerated in the pointing mechanism than now. Careful consideration of the causes of the previous system's inaccuracies led to the design shown in Figures 22 and 23.

The Detector Pointing Mechanism is controlled by a worm and worm gear system. A single threaded worm and a 120 tooth worm gear are used rem sulting in a reduction of 120:1. This means that one-thard of a turn of the input worm will produce a $1^{\circ}$ change in the pointing angle of the detector.

ORIGINAL PAGE IS
OF POOR QUALJITY?



FIGURE 22
Detector Pointing Mechanism (Front View)

Section A-A
ORIGINAL PAGE IS OF POOR QUALITY.


FIGURE 23
Detector Pointing Mechanism (Section View)

Note that this high reduction makes it impossible for the worm gear to turn the worm.

It was felt that the inaccuracies in the pointing of the detector of the old system arose from two sources, The first was the motion of the detector shaft in the holes of the blocks which supported it. There seemed to be an excessive amount of radial clearance of the shaft in the holes, This most likely was not present when originally built, but gradually developed from wear. To prevent this from occurring in the new design, the detector shaft is supported by ball bearings which should keep the shaft in a single axis of rotation.

The other source of play in the previous detector's positioning is believed to be caused by the method of attaching the worm gear and detector to the shaft. This was done by set screws over flat spots on the shaft. Since these set screws were very small, it was impossible to get them torqued down as tightly as necessary. There always seemed to be some relative motion possible between the worm gear and the detector. The new system does use set screws and flat spots, but also employs a direct connection between the worm gear and Detector Face Plate Holder. This direct connection is achieved by screwing the face plate holder to the outside face of the worm gear. These two measures should greatly increase the "stiffness" of the detector.

Two different face plates were designed since there at still some questions concerning the detector. Either of the mounting arrangements can be used. Design A mounts the Face Plate vertically before being aimed, while Design B mounts it horizontally, Design B is shown in Figures 22 and 23.

Mast Support Structure
The design for the structure to support the new mast shown in Figure 24 is rather similar to the previous design. An Upper Mast Bearing Block holds the sleeve bearing and extends back forming the top of the structure. The front mast support and mast side supports hold the bearing block firmly on three surfaces. These supports are tied fnto the mast main frames to which the slip rings, moast encoder, and lower bearing block are also fastened. The new mast is fastened to the MRV via the main frame. The mast motor and motor gear are contained within the mast support structure. Space has been left around the motor in case a larger motor is needed. Provisions have also been made for mounting 3 electronic circuit cards inside the support structure. Slots have been cut at various locations to allow easy access to the pins of the card holders. Drawings of all the components of the new mast are included in Appendix $C$.


FIGURE 24
Mast Support Structure

## CHAPTER 9

DISCUSSION AND CONCLUSIONS
9.1

Summary
. A mechancal design for implementing the elevation scanning laser/multi-detector hazard detection system has been completed and the system has been fabricated. Close attention has been given to positionIng accurately critical components and maintaining tight tolerances. Flexibility of the system was also considered to make important adjustments and vary the parameters for research in hazard detection. Lastly, an attempt was made to design a sturdy yet light weight system which wouldn't impede the performance of the RPI Rover.

### 9.2 Suggested Maintenance

A few comments concerning system maintenance are in order. Components requiring lubrication should be watched carefully. Specifically, grease should be kept on the mast and motor gears, and a film of oil should be maintained on top of the sleeve bearing and touching the upper mast tube. It would be a good idea to periodically check the set screws on the system. Set screws are located on the Elevation Scanner's couplings, the Detector Frame Supports, the Lower Mast Tube, and the Mast Encoder coupling.

### 9.3 Future Work

A careful evaluation of the new mast design should be conducted. This can best be done by testing the system and noting any problems that develop. Of particular interest are the Mast Motor and the Mast and Support Structure stiffnesses. Due to the assumptions required in calculating mast inertia and starting torques, the motor selected could be too small to do the job. Also, the lightening holes cut into some of the structural members
may have weakened them to the point where too much movement and vzbration of the mast might be experienced.

The final task will be to mount the multi-laser/multi-detector system on the Rover. Footings and tapped holes have been provided in the design, but specific connections to the vehicle have not been devised. The final mounting arrangement will depend on exactly where the mast is to be mounted on the Rover.

## REFERENCES

1. Mabie, Hamilton H., and Ocvark, Fred W., Mechanisms and Dynamics and Dynamics of Machmnery, John Wiley and Sons, Inc., 1975.
2. Lipowicz, Robert F., "A Wheel Design Analysis and Locomotion Study for the RPI-Mars Roving Vehicle, Master's Project, Rensselaer Polytechnic Institute, May, 1976.
3. Truxal, John G., ed., Control Engineers' Handbook, McGraw-Hill Book Co., 1958.
4. Kern, Daniel S., "Mars Roving Vehicle Dimensional Considerations and Main Drive System Desígn," Master's Thesis, Rensselaer Polytechnic Instztute, June 1974 .
5. FMC Corp, Bearing Technical Journal, 1977.
6. Browning Manufacturing, Division of Emerson Electric Co., Browning Catalog No. 8, 1975.
7. W.M. Berg Inc., Manual A8, 1977.

## APPENDIX A

BICYCLE MODEL COMPUTER
PROGRAM AND OUTPUT

## MAIN PROGRAM

| c | REAL MUF,MUR, NUF, MUR, RHI, DELTRH, RHF, PHI, HALF末, R, THFRAD, THRRAD, <br> 1 PHIRAO, PI, THF , THR |
| :---: | :---: |
| c | READ INPUTS <br> $\operatorname{READ}(5,10)$ THF, THR |
|  |  |
| 10 |  |
|  | FORMAT (2F10,0) ${ }^{\text {READ }}$ - 200 |
| 20 | FORMAT (3F10.0), |
|  | READ 5,10 ) MUF, MUR READ $(5,20)$ RHI, DELTRH, RHF |
|  |  |
|  | READ (5,25) HALFW, |
| 25. | FORMAT (F10.0) |
|  | READ $(5,25) \mathrm{R}$ |
| c |  |
| c | PRINT INPUTS *RITE(6,30) |
| 30 |  |
| 30 |  |
| 40 |  |
|  |  |
| 50 |  |
|  | E) |
| 60 | STTE (6,60) NUF,MUR |
|  |  |
| 70 |  |
|  | LLESE3: ${ }^{\text {a }}$ ( |
|  |  |
| 80 |  |
|  | 虾 $\mathrm{T}=(5,90)$ Q <br> FGRMATY- |
| ${ }^{9}$ | calculate angles in radians$\mathrm{Pr}=3.14159$ |
| c |  |
|  | $\begin{aligned} & \text { THRAD=THF*PI/180 } \\ & \text { THRRAC }=\text { THR } F P I / 180 . \end{aligned}$ |
|  |  |
| ${ }_{c}^{C}$ | SET UP CONTROL CF PHI |
|  |  |
| CCI $100 \mathrm{I}=1,9$PHIRAO=PHİPI/180 |  |
|  |  |
|  |  |  |
| 100 | CONTINUE |
|  | END |

## SUBROUTINE BICYCL




ORIGINAL PAGE IS

## OF POOR QUALIT'X

## COMPUTER OUTPUT

## *PROGRAM INPUTS*


$P H I=0.0$ DEGREES $\quad F V=63.9$ LES. $\quad$ FV $=86.2$ LES $\quad$ VRAT= 1.305

$F V=59.4$ LBS.
$R V=90.6$ LBS. VRAT=
1.216

$F V=54.8$ L3S.
$R V=95.2$ LBS.
VRAT=
1.137




PHI $=25.0$ DEGREES
$F V=39.7$ LBS.

RH(LBS.)
0.0
0.5
1.0
1.5
1.5
2.0
2.5

3





PHI = 40.0 DEGREES
$F V=20.4$ LES.
$\mathrm{FV}=129.6 \mathrm{LES}$.

VRAT $=0.766$

TR\{IN.-LBS.)
TF (IN.-LBS.)
0.00
5.00
10.00
15.00
10.00
15.00
15.00
20.00
25.00
131.35
127.52
127.52
123.69
119.86

RH(LBS.)
0.0
0.5
0.5
1.0
$2=0$
$2=5$
3.0
3.5
4.0
4.0
4.5
4.5
5.0
5.5
6.0
6.5
$\cdots$

## APPENDIX B

MECHANTCAI COMPONENTS PURCHASED

| COMPONENT | MANUFACTURER AND STOCK NUMBER | VENDOR |
| :---: | :---: | :---: |
| Mirror Motor | Micro Mo 330/D09 motor with 03/2 gear head of 5.4:1 reduction | Micro Mo Electronics Inc 3691 Lee Rd. <br> Cleveland, OH $44120$ |
| Mirror Bearings | Fafnir 33KDD3 | Bearing Distributors <br> 1 Spring Ave. <br> Troy, N.Y. <br> 12181 |
| Motor-Mirror Coupling | Helical 4042-5-4 | Helical Products Inc. <br> 901 McCoy Lane <br> P.O.Box 2296 <br> Santa Maria, CA. <br> 93454 |
| Mirror-Encoder Coupling | Helzcal 4042-4-4 | Helical Products Inc. |
| Sleeve Bearing | Randal.1 SH-419 | TEK Bearing Co. Inc. <br> 776 Watervilet-Shaker Rd. Lathall, N.Y. |
| Lower Mast Ball Bearing | Federall R12-FF | Bearing Distributors |
| Detector Worm Gear | Berg W64B21-S120 | W.M. Berg, Inc * <br> 499 Ocean Ave <br> East Rockaway,L.I.,N.Y. |
| Detector Worm | Berg W64S-4S | W.M. Berg, Inc. |
| Mast Gear | Berg F64S3-256 | W.M. Berg, Inc. |
| Mast Motor Geax | Berg P64S19X-256 | W.M. Berg, Inc. |
| Mast Motor | Globe 168A229-2 | Jaco Electronics Inc. 145 Oser Ave. <br> Hauppauge, I..I., N.Y. 11787 |
| Mast Encoder Coupling | Berg CC9-20-4 | W.M. Berg, Inc, |

## APPENDIX C

DRAWINGS OF MAST COMPONENTS


TrTEEDYNE POST 18AE-01E-81/2X11


| TOLERANCES (AXCHFT AS NOTED | REVISIONS |  |  | $M A S N$ |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | NO | DATE | BY |  |  |  |
| DECIMAL$\pm, \infty \times \frac{\pi}{3}$ | 1 |  |  | H/EROE |  |  |
|  | 2 |  |  |  | $O E /=1$ |  |
| FRACTIONAL $\pm$ | 3 |  |  | $\begin{aligned} & \text { DRAWN BY } \\ & \text { 心. } \end{aligned}$ | SCALE $z^{\prime \prime}=1^{\prime \prime}$ | MATERIAL $\quad$ - $E$ EL |
| ANGULAR | 4 |  |  | CHK'D | $\begin{aligned} & \text { DATE } \\ & 2 / 34 / 76 \end{aligned}$ | DRAWING NO |
| $\pm$ | 5 |  |  | TRACED | APPD |  |







QuAntity • 2

| TOLERANCES (Kxcker As notsid | REVISIONS |  |  | MOTOR | SUPPORT |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | NO | Date | 8 y |  |  |  |
| decimal $\pm .005$ | 2 |  |  | Mars Rover |  |  |
| FRACTIONAL $\pm$ | 3 |  |  | DRAWN BY R1L | $\frac{{ }^{\text {SCALEE }}}{}$ | $\begin{gathered} \text { MATERIAL } \\ \text { dLOH } \\ \hline \end{gathered}$ |
| ANGULAR $\pm$ | 4 |  |  | CHK'D | ${ }_{\text {DATE }}$ APP $2-8-78$ | drawing no |




QuAnTry $=2$

| TOLERANCES <br>  | REvISIONS |  |  | - MARS ROVER |  | - - - |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | na | OATK | ar |  |  |  |
| DYCIMAS. <br> $\pm$ | + |  |  | SCANNETR SPACINS BLOCKS . |  |  |
|  | $\star$ |  |  |  |  |  |  |
| PHACTAOHNE $\pm$ | 1 |  |  |  |  |  |
| $\pm$ Andulat | $\wedge$ |  |  | $\mathrm{CHXD}^{\text {din }}$ | DATE $3-51 \cdot 78$ |  |
|  | - |  |  | Tnacto | AFPo |  |





QuAntITY: 3

| TOLERANCES <br> [ENCKFF AS NOTED) | REVISIONS |  |  | HAFS - ROVETR |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | NO | DATE | ar |  |  |  |
| DECIMAL $\pm$ | 1 |  |  | LENS FEET. |  |  |
|  | 2 |  |  |  |  |  |
| FRACTIONAL $\pm$ | 3 |  |  | DRAYN: | $\begin{array}{r} \text { SCALE } \\ 1^{\prime \prime}=1 / 4 \end{array}$ | $\begin{aligned} & \text { MATERIAL } \\ & \text { ALUM } \end{aligned}$ |
| ANGULAR <br> 4 $\pm$ |  |  |  | CHK'D | DATE $3-17-78$ | DRAWING NO |
|  |  |  |  | TRACED | APPD |  |








$1 Y_{4}^{\prime \prime}$ DIAM. ALOM. TUBING_ REMOVE A. FEOLTACSSANDS -FROM OUTSIDE SURFACB EOR A_Good, TRUE, FINISH





. QuAntity: 4





| TOLERANCES (encurt an notea) | REVISIONS |  |  | MAPS ROVER |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | no | ontis | ar |  |  |  |
| DECtaAL <br> $\pm$ | 1 |  |  |  |  |  |
|  |  |  |  | Worm | JPPOET | PACKET |
| FNACTIOAAL $\pm$ | 1 |  |  | DanWN \#Y |  | MA) ${ }_{\text {cinat }}$ |
|  | 4 |  |  | CMK |  | dinawing no |
| AgㅇUnAA <br> $\pm$ |  |  |  |  | arro |  |

3/32 DIAMETER HOLE


Qunntity: 1






Drill And Countersink
From Other
side bor clarence FIT: OF \# 6 FLATHEAD SCREW . ........

Drill For Tight State. Fit aver detector SHAFT (APPROX $3 / 16^{*}$ DIAMETER)

DRILL AND
TAP ESR $\# 6-32$
THRONG H TO
THROUGH TO
SHARTHOE


DRILL AND TAR 3/S DEP-
FOR t $4=40$ SCREW,
(3) PLACES

Qunvility 2



invisible lines not shown


Quantity: 1


DRILL THRU $1.0^{\prime \prime}$ DIAM
BORE FOR SUIDE FIT OVER
(2) PLACES ON 2.S'DIAH B.C. Lightening hole

DEILLL THRO, $75^{\prime \prime}$ DIAM
 UPPER PABT OF LOWER MAST TUBE $工=15 / 16$. DRIAM.
(2) PLACES ON $2.75^{\circ}$ DIAM BC. Lightening hole

Drimat \& counterrsink for clearance
FIT OF \#8 FLAT HD SCEEU,
(4) HOLES ON 2.620 DIAM. B.C.

MAT'L: W. BERGG F6453-256 STEEL FLAT GEAR (SUPPLIED)
$\approx$ DIAM $4.0^{\prime \prime}$
QUANTITY: 1

| TOLERANCES | REVISİONS |  |  | MARS ROVER |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | No | datx | ar |  |  |  |
| drcimal | : |  |  | MAST GEAR |  |  |
| $\pm$ | 2 |  |  |  |  |  |
| fractional <br> $\pm$ | , |  |  | $\frac{\text { drawn ay }}{\text { RAL }}$ | ${ }^{\text {SCALE }} /{ }^{\text {a }}$ " $=11$ | MATERIAL |
| angular | 1 |  |  |  | - ax $^{2}-24-28$ | draming no |
|  | 3 |  |  | tacero | APP D |  |









Quantity. 2






DRILL \& TAP AT STARTER HOLE FOR APPROPRIATE SIZE SET SCREW

DRILL THEN $1.0^{\circ}$ DIAM
(4) PLACES, $90^{\circ}$ APART
onus $2.5^{\prime \prime}$ DIAM. BC.
LIGHTENING HOLE


QuAntity : 1

```
MAT'L: W. BERG P64519X-256 STEEL HUBEED GEAR (SUPPLIED).
DAM 4.0"
```




DRILL AND COUNTERSINK FOR CLEARENGG FIT OF $\# 4$ FLAT HiD, 4 HossS on
ノ/I26 DIAMETELR BOLT CIRCLE


| TOLERANCES [XXC\&PY AS NOTEOJ | REVISIONS |  |  | () UANTITV 1 |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | NO | DATE | ay |  |  |  |
| DECIMAL $\pm$ | 1 |  |  | MOTOR SHA云 EXTENSION |  |  |
| FRACTIONAL $\pm$ | 3 |  |  | DRAWN EY SFA1 | $\begin{gathered} \text { BCALE } \\ \hline 1 / 2^{\prime \prime} \\ \hline \end{gathered}$ | MATERIAL $\text { C } 1<\text { Wrll } 2,10$ |
| ANOULAR$\pm$ | 4 |  |  | CHK D | $\begin{gathered} \text { DATE } \\ 7 / 24 / 79 \end{gathered}$ | DRAWING NO |
|  | 8 |  |  | TRACED | APP'D |  |

DRILL CLEARANCE FIT FOR \#4 SCREW, (4) HELES $90^{\circ}$ APARTT ON $3.776^{\circ}$ DIAM. B.C.

BORE FOR SUIDE EIT OF MAST ENCODER Boss

DRINL + COUNTERSNK For clearance fitfor \% 6 SCREW, (4) PLACES



| tolerances <br>  | REVISIOMS |  |  | MARS ROVER |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | но | пктк | ${ }^{8}$ |  |  |  |
| $\begin{aligned} & \text { DEGIMAR } \\ & \pm \end{aligned}$ | , |  |  | REAP MAIN FPAHE SUPPORT |  |  |
|  | $:$ |  |  |  |  |  |
| $\begin{aligned} & \text { rnnctional } \\ & \pm \end{aligned}$ | , |  |  | 或敉" |  | DWAWINC HO |
| Anautal | 4 |  |  |  | ${ }^{1014} 4-18-78$ |  |
| $\pm$ | - |  |  | गmactio | arro |  |




