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# NASA Technical Paper 1838

## A Microprocessor-Based Table Lookup Approach for Magnetic Bearing Linearization

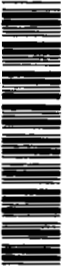
Nelson J. Groom and James B. Miller

MAY 1981

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NASA Technical Paper 1838

# A Microprocessor-Based Table Lookup Approach for Magnetic Bearing Linearization

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## SUMMARY

An approach for producing a linear transfer characteristic between force command and force output of a magnetic bearing actuator without flux biasing is presented. The approach is microprocessor based and uses a table lookup to generate drive signals for the magnetic bearing power driver. An experimental test setup used to demonstrate the feasibility of the approach is described, and test results are presented. The test setup contains bearing elements similar to those used in a laboratory model annular momentum control device (AMCD).

## INTRODUCTION

This paper describes an approach for producing a linear transfer characteristic between the force command and force output of a magnetic bearing actuator. The approach, which is microprocessor based and uses a table lookup to generate drive signals for the magnetic bearing actuator power driver, was investigated for application to a laboratory model annular momentum control device (AMCD). The laboratory model (described in ref. 1) was built to investigate potential problem areas in implementing the AMCD concept and is being used as part of an AMCD hardware technology development program. The basic AMCD concept is that of a rotating annular rim, suspended by a minimum of three magnetic bearing suspension stations and driven by a noncontacting electromagnetic spin motor. A detailed discussion of the rationale for the AMCD configuration and of some of its potential applications is presented in reference 2.

As described in reference 1, the magnetic-bearing linearization technique used in the original laboratory model AMCD magnetic suspension was to differentially control sets of magnetic bearing elements about a permanent-magnet bias flux. Preliminary tests indicated that this approach (permanent-magnet flux biasing) presented a problem from a control system standpoint (ref. 3). For a given equivalent permanent-magnet stiffness, a minimum bearing servo bandwidth is required for stability. The existence of structural modes in the area of the laboratory model bearing servo crossover restricted the amount of bearing servo damping that could be achieved.

Because of the limitations of permanent-magnet flux biasing encountered with the laboratory model AMCD, a decision was made to explore an alternate approach to the design of the magnetic suspension system (ref. 4). As a result, a new magnetic suspension system for the laboratory model has been designed, fabricated, and tested (ref. 5). The new system uses a zero bias flux approach for the magnetic bearing actuators. Analog multiplier and square root modules produce a direct solution to the ideal magnetic actuator force equation to provide a linear force-current characteristic. (For further discussion of magnetic bearing actuator control approaches, see ref. 6.) The accuracy of this approach is limited by the accuracy with which the ideal force equation approximates the actual characteristics of the actuator and by the accuracy of the

analog components. This paper presents a zero bias flux linearization approach which is digital and which uses a lookup table constructed from measured actuator characteristics. An experimental test setup that was used to develop this approach is described, and test results are presented.

### SYMBOLS

Dimensional quantities are presented in both SI Units and U.S. Customary Units. Measurements were made in U.S. Customary Units.

$F_B$	force produced by bottom electromagnet
$F_C$	force command for magnetic bearing actuator
$F_C(m)$	value of force command associated with mth line segment
$F_T$	force produced by top electromagnet
$f_s$	microcomputer system sample rate
$\Delta F_C$	= $F_C(m+1) - F_C(m)$ for all $m$ , where $m < N$
$\delta F_C$	= $F_C - F_C(m)$ , where $F_C(m) \leq F_C < F_C(m+1)$
$G$	displacement of suspended element with respect to centered position in magnetic bearing actuator gaps
$G_B$	gap of bottom electromagnet
$G_O$	magnetic bearing actuator gap with suspended element centered
$G_T$	gap of top element
$I_B$	current in bottom electromagnet
$I_C$	current command for magnetic bearing actuator
$I_C(m)$	stored value of current command associated with mth line segment
$I_T$	current in top electromagnet
$K$	electromagnet constant
$N$	number of line segments
$SLOPE(m)$	slope of mth line segment from $(F_C(m), I_C(m))$ to $(F_C(m+1), I_C(m+1))$

#### Abbreviations:

A/D analog-to-digital converter

AMCD      annular momentum control device  
 D/A        digital-to-analog converter  
 dc         direct current  
 emf        electromotive force

### APPROACH

#### Magnetic Bearing Control Approach

The magnetic bearing control approach is one which uses zero bias flux. Figure 1, a schematic representation of a magnetic bearing element pair, is

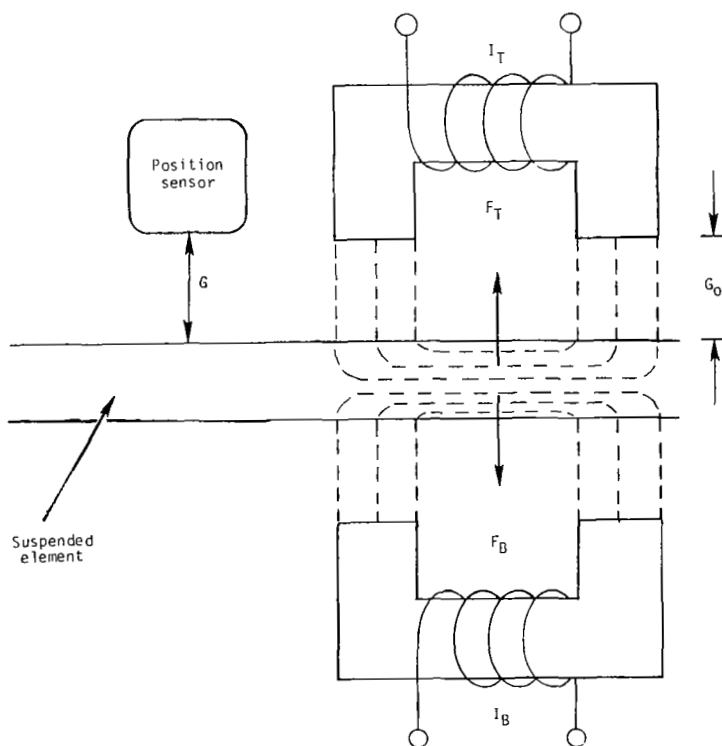


Figure 1.- Magnetic bearing actuator.

presented in order to describe this approach. Included in the figure are top and bottom electromagnets, with currents  $I_T$  and  $I_B$ , respectively; a portion of the suspended element which is centered between the electromagnets; and a position sensor which measures the displacement  $G$  of the suspended element with respect to the centered position  $G_0$ . In the zero bias flux control approach, one electromagnet at a time is controlled; the top electromagnet is controlled for an upward force and the bottom electromagnet is controlled for

a downward force (since each electromagnet can physically produce only a unidirectional force). Figure 1 indicates that if up is taken as the positive direction, the electromagnet gaps are

$$G_T = G_0 - G \quad (1)$$

and

$$G_B = G_0 + G \quad (2)$$

Assuming negligible fringing and ignoring nonlinear core effects, the force produced by each electromagnet is given by (ref. 4)

$$F_T = K \left( \frac{I_T^2}{G_T^2} \right) \quad (3)$$

and

$$F_B = K \left( \frac{I_B^2}{G_B^2} \right) \quad (4)$$

The composite force-current characteristic of a zero bias flux actuator with the suspended element centered is shown in figure 2.

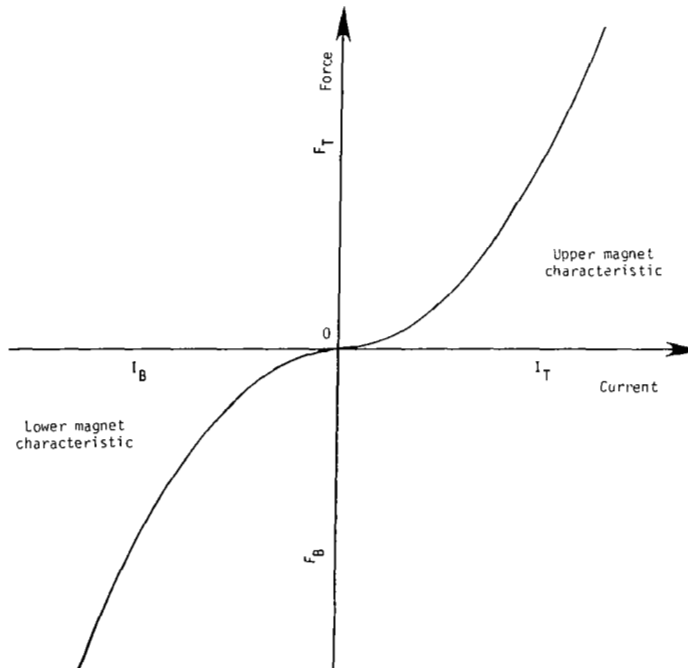


Figure 2.- Composite force-current characteristic of a zero bias flux magnetic actuator.

## Linearization Approach

The linearization approach is microprocessor based and uses a lookup table. The most straightforward approach for producing a linear transfer characteristic between force command and force output would be to solve equations (3) and (4) for the electromagnet current required to produce the desired force. That is,

$$I_T = G_T \left( \frac{|F_C|}{K} \right)^{1/2} \quad (F_C > 0) \quad (5)$$

and

$$I_B = G_B \left( \frac{|F_C|}{K} \right)^{1/2} \quad (F_C < 0) \quad (6)$$

where  $F_C$  is the commanded force. Implementing the solutions of equations (5) and (6) digitally could produce a more computationally accurate result than the analog solution but would not account for deviation of the actual bearings from the ideal model. This solution would also require that considerable computing power be dedicated to a relatively minor portion of the total control system.

The table lookup approach, which employs a one-to-one correspondence between force command  $F_C$  and output current command  $I_C$  permits the output/input function to conform, within the limits of quantization error, to the actual bearing characteristics. However, this form of table requires considerable memory space. The minimum memory requirement is obtained by selecting the minimum set of straight line segments which approximate the output/input relationship within the desired tolerance. The major disadvantage of this choice of line segments is that considerable time may be spent searching for the appropriate line segment.

Since in this application computational time is more critical than memory size, an approximation was selected which requires more memory but eliminates the search time. The minimum set of equally spaced line segments  $N$  are selected so that  $N = 2^n$ , and the  $N + 1$  points defining the line segments are separated by equal force command steps  $\Delta F_C$ . If the range of  $F_C$  is scaled to a  $B$  bit binary word ( $B > n$ ), the  $n$  most significant bits of  $F_C$  uniquely identify the  $N$  line segments. In actual computation these bits identify the



lookup table data associated with the mth force command data point  $F_C(m)$  such that  $F_C(m) \leq F_C < F_C(m+1)$ . The  $B - n$  least significant bits of  $F_C$  represent the difference  $\delta F_C$  between  $F_C$  and  $F_C(m)$ . (See fig. 3.)

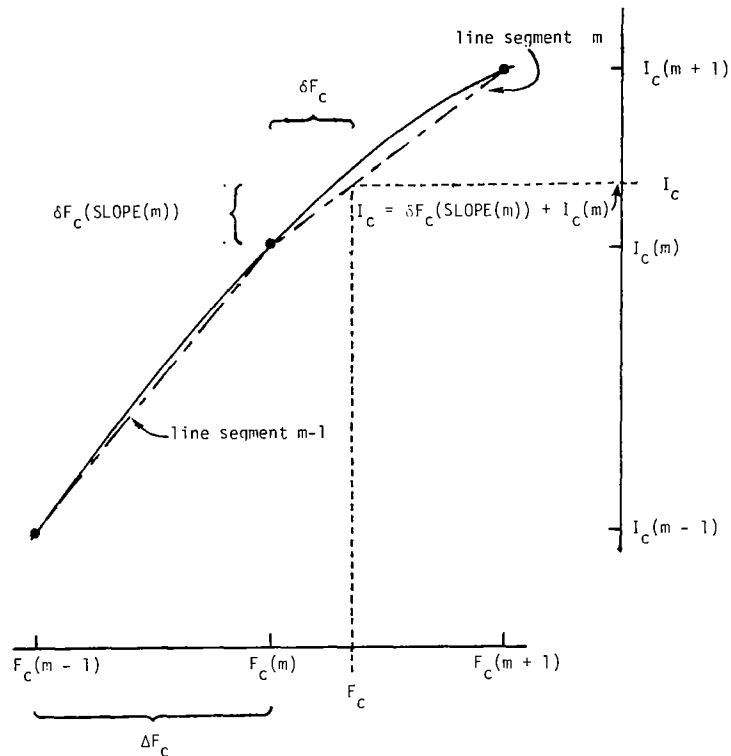


Figure 3.- Table lookup approach.

The data contained in the lookup table consist of the slope  $SLOPE(m)$  of each line segment  $m$  between  $(F_C(m), I_C(m))$  and  $(F_C(m+1), I_C(m+1))$  and of the current command  $I_C(m)$  corresponding to  $F_C(m)$ . The location of the appropriate data is obtained directly from the force command word by masking and shifting. Calculation of output current command  $I_C$  at  $G = 0$  requires a single multiplication of  $\delta F_C$  by  $SLOPE(m)$  and addition of this result to  $I_C(m)$ . Since actual variation of electromagnet current with gap was observed to be linear, as indicated by equations (5) and (6), calculation of  $I_C$  for other values of  $G$  is accomplished by multiplying  $I_C$  by the appropriate bearing gap. For a more detailed description of the table lookup algorithm, see appendix A.

## HARDWARE TESTS

### Description of Test System

The test system consisted of a magnetic bearing test fixture connected to a microcomputer system as shown in figure 4. This system was used to obtain the data required to develop the lookup table and to obtain data on the performance of the proposed approach. A description of the current driver shown in figure 4 is given in appendix B.

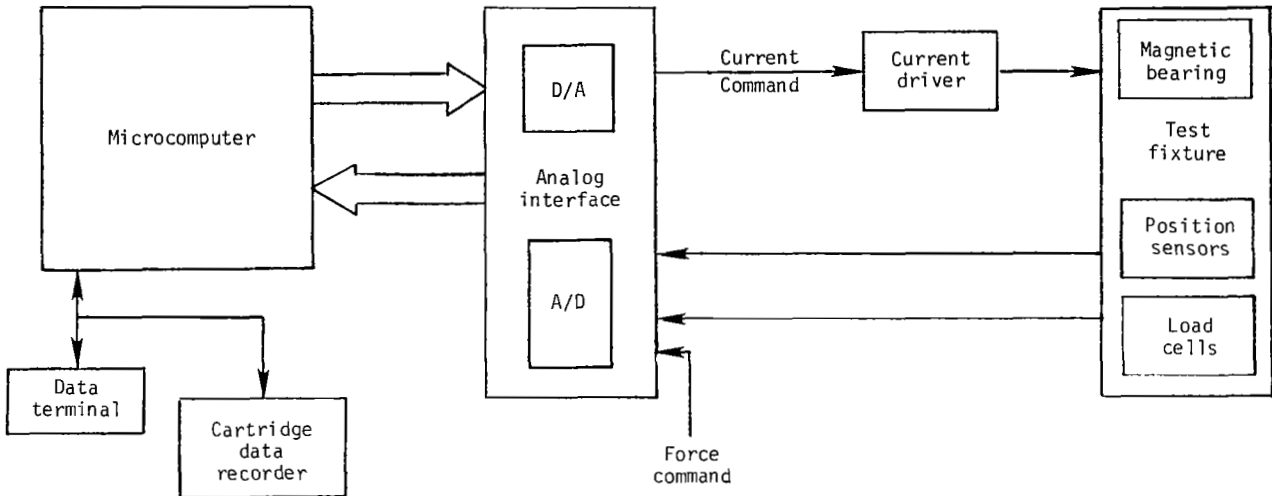
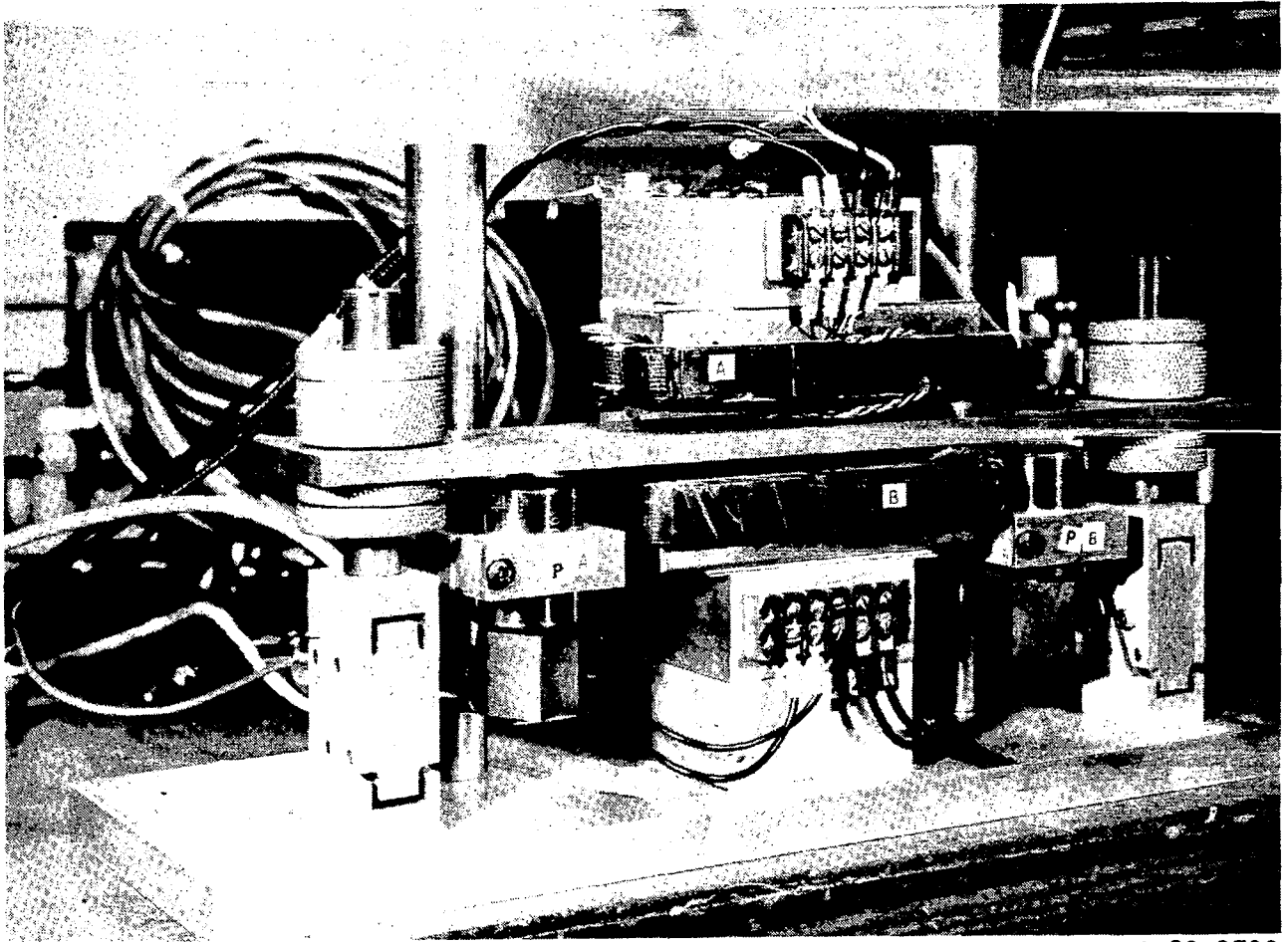


Figure 4.- Magnetic bearing test system.

Magnetic bearing test fixture.- The magnetic bearing test fixture shown in figure 5 consists of a magnetic bearing element pair; an equivalent "suspended" element, which is connected through a pair of load cells to the base of the fixture; and a pair of position sensors. The suspended element can be set to any desired vertical position in the magnetic bearing gap using the adjusting screws mounted on the load cells. The position sensors are used to measure the bearing gaps. The magnetic bearing elements have the same dimensions as the original magnetic bearing elements delivered with the laboratory model AMCD which is described in reference 1. Two main differences exist between the test fixture bearing elements and the original laboratory model elements: (1) the core material of the test fixture bearing elements is SAE 1010 soft steel (as opposed to a lower loss silicon core iron used in the original elements), and (2) the test fixture bearing elements contain no permanent-magnet material.



L-80-3798

Figure 5.- Magnetic bearing test fixture.

The load cells, shown in figure 5, are strain-gage bridge instrumented bending beams. The output of the bridge is a voltage which is directly proportional to the load applied to the beam. The cells were connected as shown in figure 6. They have a load range of  $\pm 44.48$  N ( $\pm 10$  lb) and a nominal scale factor of  $\pm 0.045$  mV/N-V ( $\pm 0.2$  mV/lb-V). Scale factor and offset differ from cell to cell and vary with changes in test fixture configuration, power supply voltage, and temperature; therefore, software was designed to provide for periodic system calibration.

Calibration was accomplished by applying a sequence of known loads to each cell and performing a first-order least-squares fit to the resulting data. Typical raw calibration data for one cell are given in figure 7.

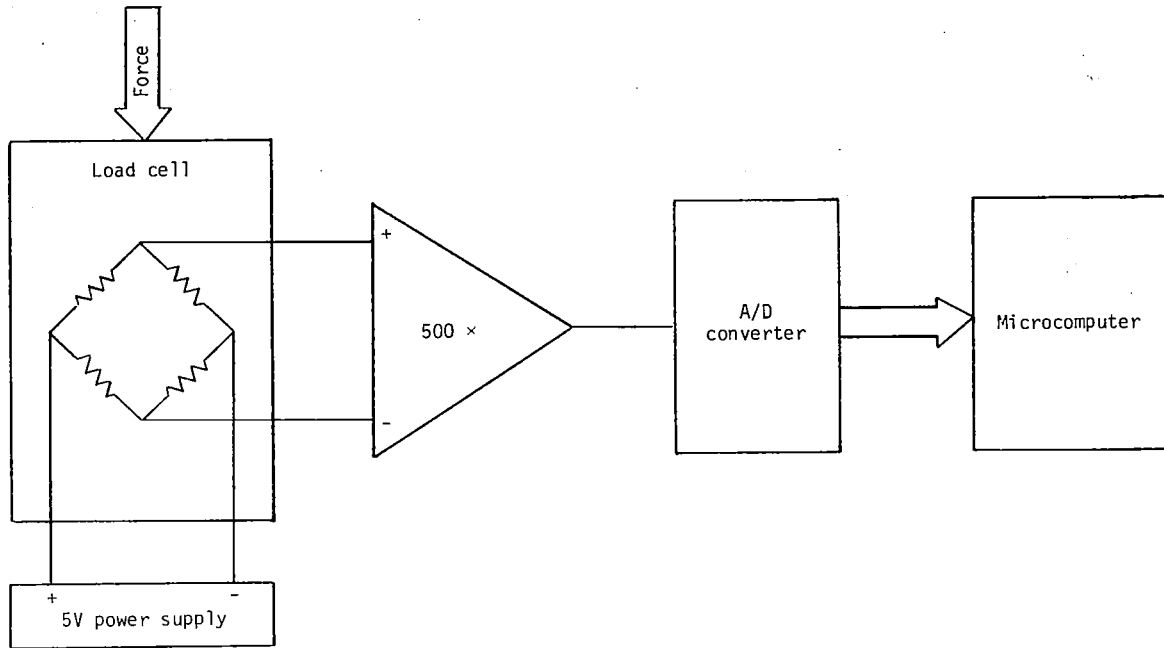


Figure 6.- Load cell connection diagram.

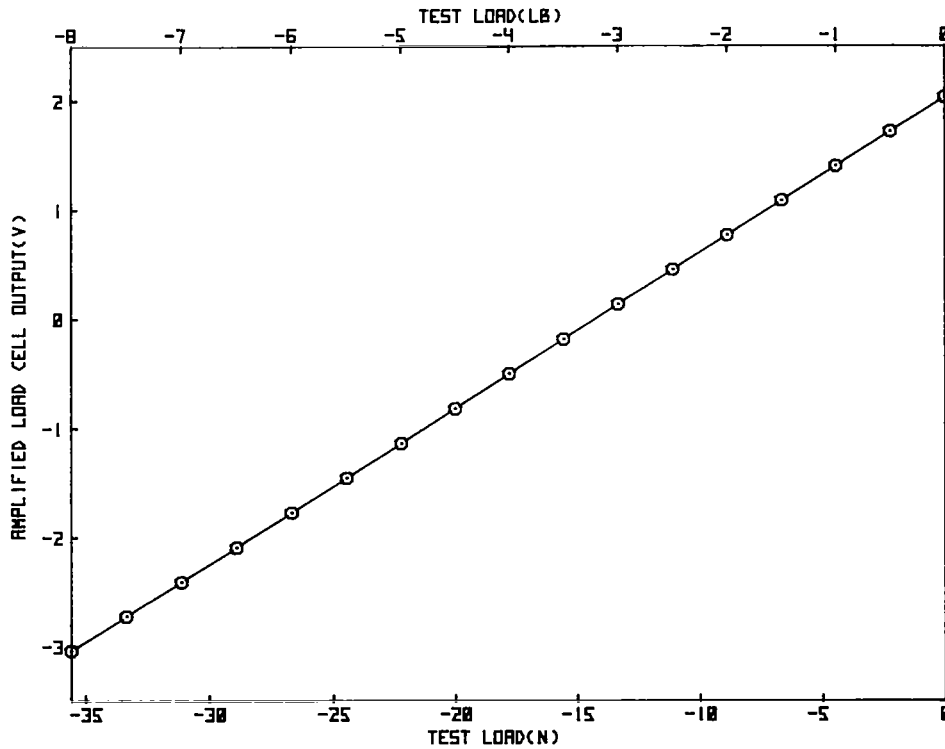


Figure 7.- Typical calibration data for a given load cell.

Microcomputer system.- The same microcomputer system was used for both characterization and performance tests. The major system components include (1) microcomputer and memory, (2) analog interface unit, (3) cartridge data recorder, and (4) portable data terminal (fig. 4).

The microcomputer is an Intel<sup>1</sup> 8080 microprocessor-based computer which includes serial and parallel ports, programmable hardware timers, and 2000 bytes of random access memory (RAM). This processor was selected for the initial phase of development because it is well supported in hardware and software. Available software includes FORTRAN as well as assembly language and the manufacturer's high-level language.

Most of the test programs were written in FORTRAN with assembly language hardware drivers. However, the table lookup routine was written in assembly language because of its time-critical nature. A listing of the table lookup routine is presented in appendix A. Memory expansion boards containing 24 000 bytes of RAM memory were added to permit run time storage of large FORTRAN programs and substantial test data.

The analog interface unit provides up to 32 multiplexed A/D input channels and two D/A output channels. The input channels provide the processor with position and force data from the test fixture position sensors and load cells and provide external command signals during those tests in which an analog force command is used. The two output channels are used to supply the current command to the bearing current driver. The analog interface unit was programmed to perform conversions in two modes. During characterization tests, conversions were initiated under program control, and a flag on the interface was set at end of conversion. During those portions of the performance test when the table lookup algorithm was running in a real-time environment, the interface was programmed to start a conversion sequence on the rising edge of a hardware timer and to interrupt the processor at the end of conversion. This technique provides a stable sampling rate and does not require software timing loops.

The data recorder was used for temporary storage and for transport of test programs and test results. This recorder permitted flexible use of the microcomputer system at a location which was remote from the microprocessor development system used for software generation.

The data terminal provided run time parameter selection, control, and monitoring of the system test programs.

#### Description of Tests

Characterization tests.- Characterization tests were required to establish the values of lookup table data. These data were collected by the microprocessor system and transferred to a programmable desk-top calculator for analysis

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<sup>1</sup>Use of names of manufacturers in this report does not constitute an official endorsement of such manufacturers, either expressed or implied, by the National Aeronautics and Space Administration.

and reduction. A FORTRAN test program applied a 2048-point sequence of equally spaced current drive signals to the magnetic bearing test fixture and measured the actual force registered by the test fixture load cells at a manually selected rim position. This process was repeated for a series of rim positions. These positions were varied from -0.127 cm (-0.050 in.) to 0.127 cm (0.050 in.) in increments of 0.0127 cm (0.005 in.). The resulting force vs current data were converted by linear interpolation to a 2048-point current vs force table with equal force steps. These data were systematically reduced to form an N-point minimum size lookup table ( $N = 2^n$ ) capable of approximating the measured data to within  $\pm 1$  percent. This tolerance is within the limits of the existing analog solution to the ideal force equation.

Performance tests.- Two tests were performed to evaluate the assembly language interpolation routine and the table lookup technique:

1. Linearity tests (static) - A sequence of force commands were applied to the test fixture through the linearization algorithm by a FORTRAN test program. The sequence of force commands was applied in the same direction and over the same range as in the characterization tests. The force produced on the rim was measured by the load cells and compared with the input command.

2. Frequency response tests (dynamic) - A sinusoidal force-command signal was applied to the test fixture through the linearization algorithm, and the output current response was observed. The response measurements were performed by a frequency response analyzer. The force-command signal was given a dc offset so that measurements could be performed independently on upper and lower bearing elements. For this portion of the test, the characterization data were replaced by a linear table to permit direct comparison of input force command with current output. This replacement was necessitated by a mechanical resonance of the test fixture which prevented use of load cells for frequency response measurements. The frequency was measured over a bandwidth slightly larger than half the sampling frequency of the algorithm.

## TEST RESULTS AND DISCUSSION

### Characterization Tests

The force, current, and gap relationships obtained from the data collected during characterization tests are similar to those obtained from the ideal electromagnet force equations (eqs. (3) and (4)). However, measured data deviated from ideal relationships near the zero force points, and differences between constants for upper and lower bearing elements were observed. Figure 8 is a plot of the actual force data resulting from the application of a sequence of equally spaced current drive signals. Each curve represents 2048 data points

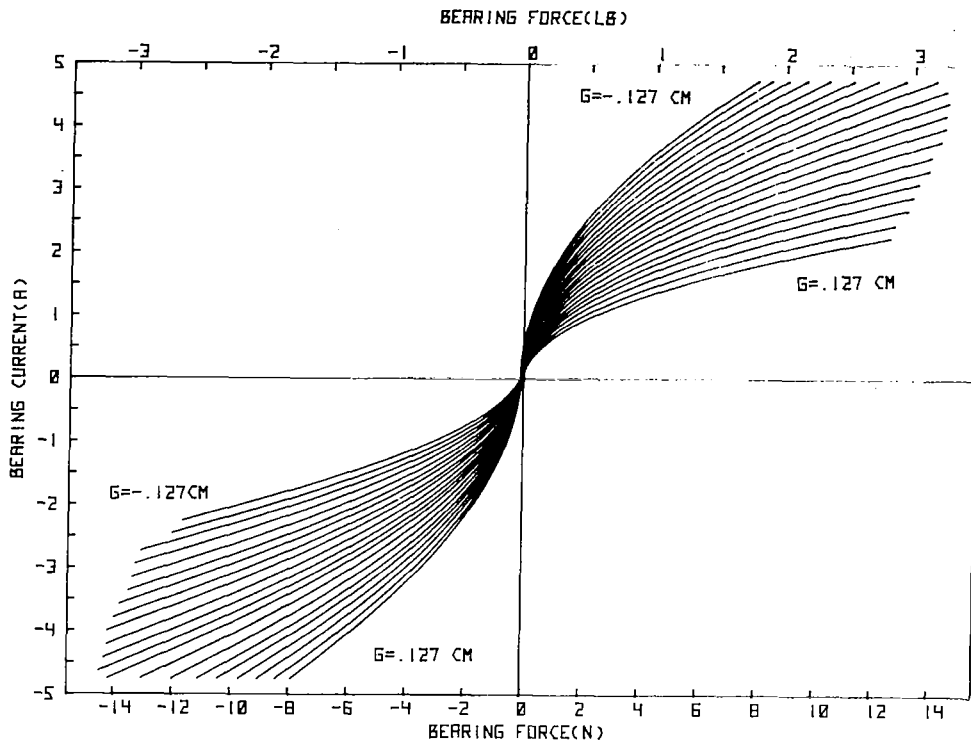


Figure 8.- Force-current data taken from magnetic bearing test fixture.

taken at a given gap setting. The force vs current data with equal current steps were converted by linear interpolation to current vs force data with equal force steps. Analysis of the resulting data indicated that the relationship between current and gap for a given force was sufficiently linear to permit gap compensation to be accomplished by multiplying the output current by the gap (as in eqs. (5) and (6)). Systematic reduction of the data for  $G = 0$  resulted in a 128-point table that was capable of reproducing the original data to within 0.5 percent, as illustrated in figure 9. System memory requirements for this size table are quite reasonable.

#### Performance Tests

Linearity.- The main results of the table lookup algorithm linearity tests are shown in figures 10 and 11. Figure 10 shows the relation between force command input and the measured force output of the system. This particular plot is for  $G = 0$ , but the same result was obtained for other values of  $G$ . The actual percentage force error can be seen in figure 11. These results, although still within acceptable limits (less than  $\pm 1$  percent error), do not agree completely with the errors predicted during data reduction (shown in fig. 9).

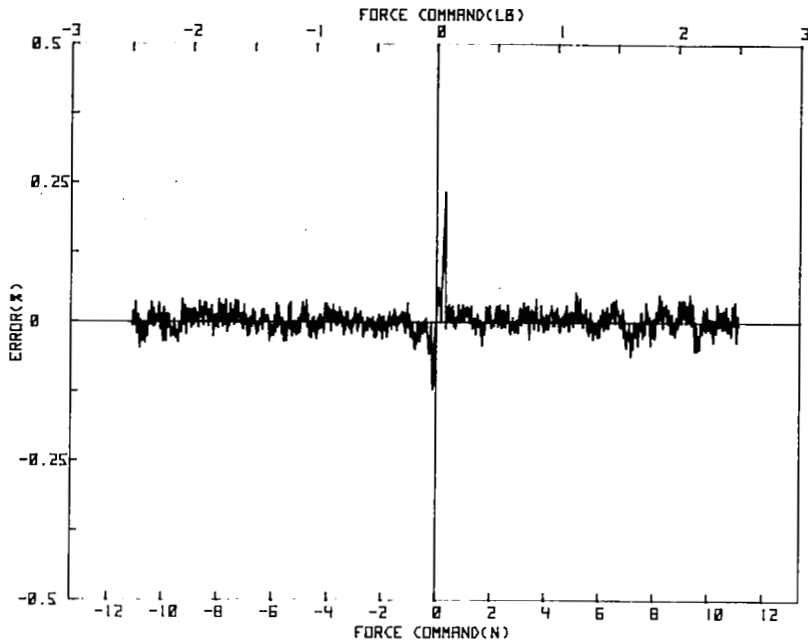


Figure 9.- Error associated with reduction of original data (for  $G = 0$ ) to a 128-point table.

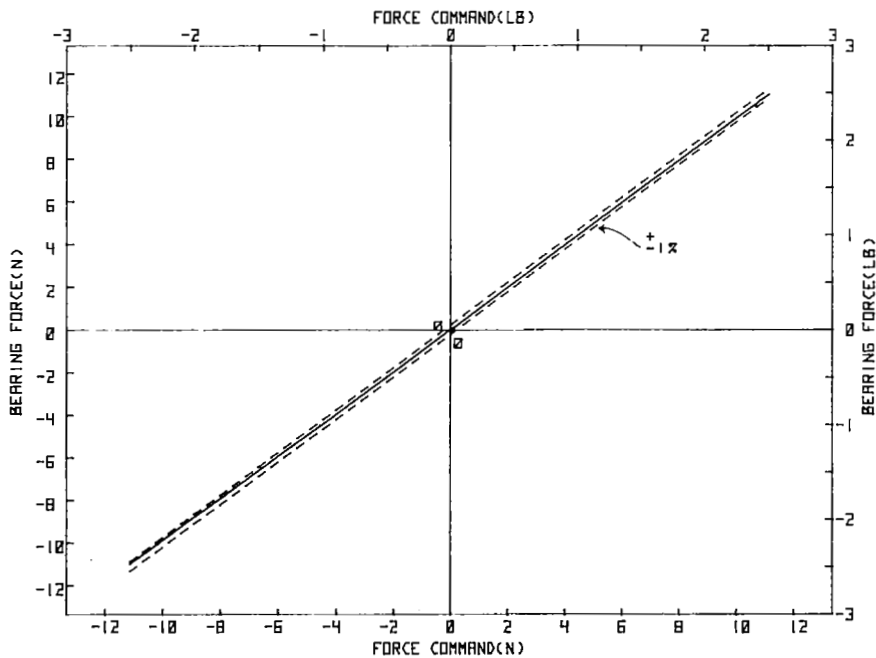


Figure 10.- Static output/input characteristics of table lookup algorithm.



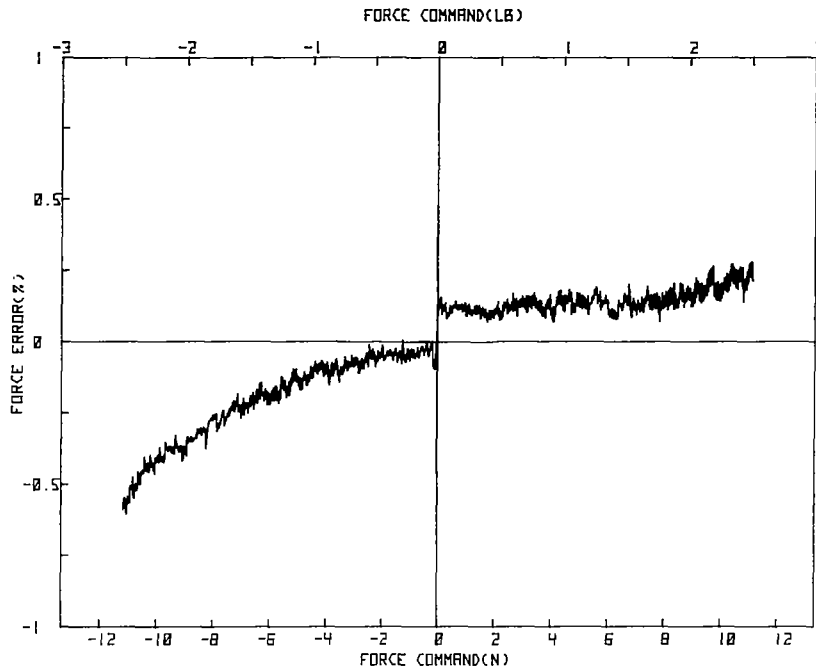
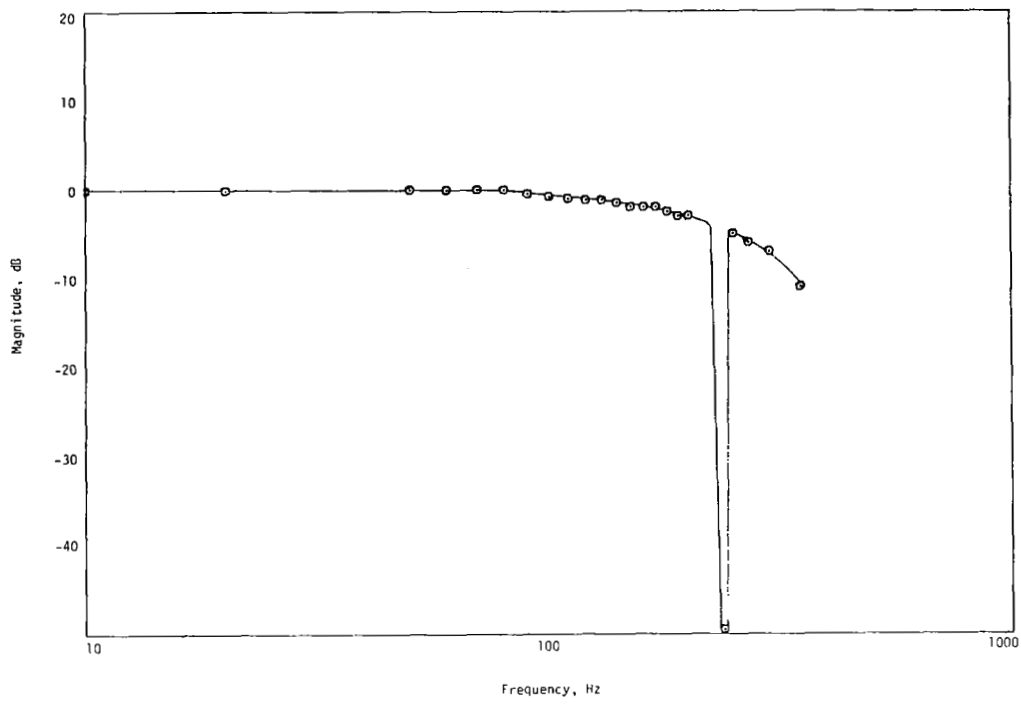


Figure 11.- Percentage force error of table lookup algorithm.

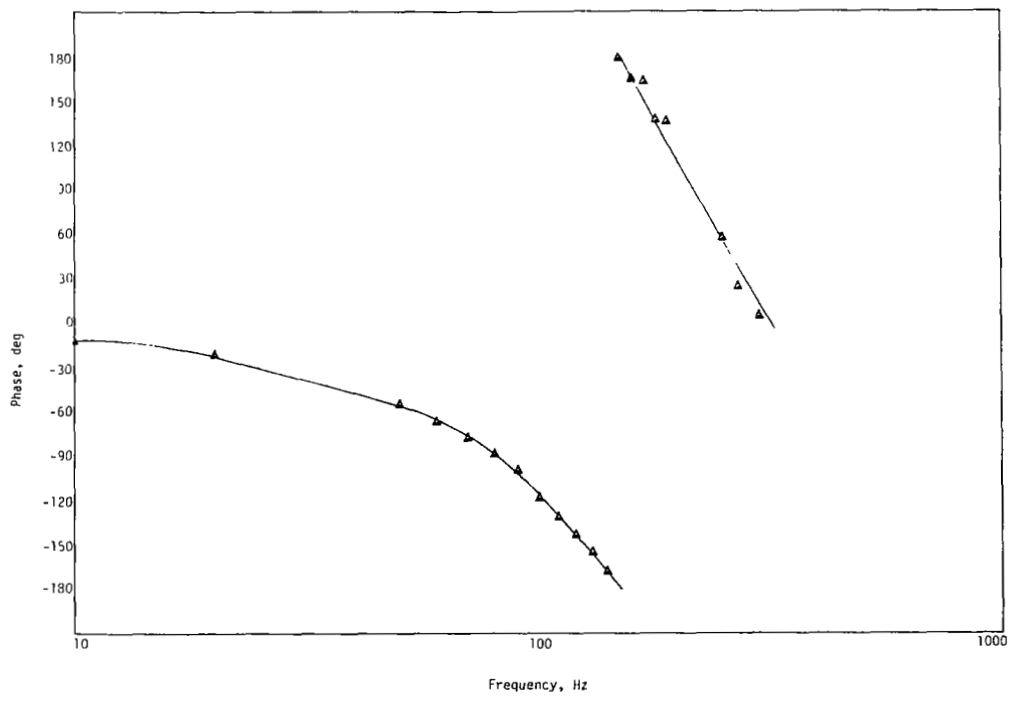
In particular, relatively large errors occur at the maximum positive and negative excursions of the force command. Since no attempt was made to minimize the effects of hysteresis in the test fixture, considerable residual magnetic flux can exist in the electromagnet cores and in the equivalent "suspended" element. Variations in the magnetic history of the test fixture are the probable cause of these errors. One possible way to reduce the effects of hysteresis on accuracy would be to use flux feedback in the power driver loop instead of current feedback. Another more obvious approach would be to use low-hysteresis material in both the electromagnet core and the suspended element magnetic circuit material.

Frequency response.- The table lookup algorithm required approximately a 10-percent greater execution time than the 1.85-ms worst-case value predicted by evaluating the microprocessor instruction execution times. This loss of time occurred during the test because the table lookup algorithm instructions and data were stored in RAM memory on a memory expansion board. The increased execution time limited the system sample rate  $f_s$  to a maximum of approximately 490 Hz rather than the 540 Hz which was predicted.

Results of the frequency response test are summarized in figure 12. The bandwidth exceeds 100 Hz, which was considered adequate for this portion of the bearing system. The magnitude is flat from dc to approximately  $f_s/4$  and then rolls off gradually to approximately  $f_s/2$ , which is the theoretical frequency limit for a sampled data system. Since this algorithm retains no history of the signals and has an almost fixed execution time, the phase response varies linearly with frequency to approximately  $f_s/2$ .



(a) Magnitude.



(b) Phase.

Figure 12.- Frequency response (magnitude and phase) of table lookup algorithm at 490-Hz repetition rate.

## CONCLUDING REMARKS

A microprocessor based table lookup approach for magnetic bearing linearization without flux biasing has been presented, and an experimental test setup used to demonstrate the feasibility of the concept has been described. Results obtained with the experimental test setup generally showed very close agreement with theoretical predictions. Using a 128-point table, the table lookup algorithm produced a linear transfer characteristic between force command and force output of the test fixture magnetic bearing actuator to within  $\pm 1$ -percent error. The frequency response of the algorithm was greater than 100 Hz, which should be adequate for this portion of the bearing system.

This approach when used as an inner loop for the actuators could form the basis for an all-digital magnetic suspension control system. One application would be the laboratory model annular momentum control device (AMCD). An all-digital system would allow control-system parameter changes to be made in software without requiring the circuit component changes and circuit rewiring which are necessary with existing analog systems. Also, advanced controller design approaches could be more easily implemented.

Langley Research Center  
National Aeronautics and Space Administration  
Hampton, VA 23665  
March 19, 1981

## APPENDIX A

### TABLE LOOKUP ALGORITHM

#### Algorithm Description

This appendix presents a listing, in assembly language, of the table lookup algorithm used to drive the magnetic bearing test fixture. The algorithm performs a nonlinear transformation of an input force command  $F_C$  and a measured rim displacement  $G$  into current commands  $I_C$  to either the top or bottom bearing element. The transformation approximates the solutions of equations (5) and (6) in the main text. The lookup table contains 128 four-byte data groups. Each of the groups consists of a 16-bit value of  $SLOPE(m)$  and a 16-bit value of current  $I_C(m)$  obtained from measurement of the actual bearing force-current characteristic with the rim centered (i.e.,  $G_T = G_B = G_O$ ).

The routine is interrupt driven and is called upon completion of the force command A/D conversion which is initiated by a hardware real-time clock. After reading the force command, the processor sets up the analog interface and initiates conversion of the rim displacement. Because of the configuration of the analog interface, the force command  $F_C$  and rim displacement  $G$  are 12-bit two's complement numbers which are sign extended to 16 bits.

The least significant 5 bits of  $F_C$  are removed and stored, since they contain the value  $\delta F_C$ . The remaining 7 bits identify the 128 data groups. These bits are appropriately shifted, converted to offset binary, and added to the lookup-table base address to produce a memory pointer. The stored slope value is loaded using this memory pointer, and the pointer is incremented. The slope value is then multiplied by  $\delta F_C$  (an 8-bit by 16-bit multiplication routine is used to conserve time). This result is added to the stored value of  $I_C(m)$ , which is now addressed by the memory pointer. The result,  $I_C(F_C, G_O)$ , is the current command required to produce a desired force by either bearing element when the rim is centered ( $G_T = G_B = G_O$ ). Since the required current is directly proportional to the bearing gap, the current command for any rim displacement is given by the following relationships:

$$I_T = |I_C| \left( \frac{G_T}{G_O} \right) \quad (I_C \geq 0)$$

$$I_B = |I_C| \left( \frac{G_B}{G_O} \right) \quad (I_C < 0)$$

where  $I_C = f(F_C, G_O)$ . After substitution of the table lookup algorithm for  $I_C$  and the expressions for  $G_T$  and  $G_B$  from equations (1) and (2) in the main text, these equations become

APPENDIX A

$$I_T = \left( I_C(m) + \text{SLOPE}(m) \delta F_C \right) \left( \frac{G_O - G}{G_O} \right)$$

$$I_B = \left( I_C(m) + \text{SLOPE}(m) \delta F_C \right) \left( \frac{G_O + G}{G_O} \right)$$

Since  $G_O$  is a constant, these equations can be rewritten as

$$I_T = \left[ \left( \frac{I_C(m)}{G_O} \right) + \left( \frac{\text{SLOPE}(m)}{G_O} \right) \delta F_C \right] (G_O - G)$$

$$I_B = \left[ \left( \frac{I_C(m)}{G_O} \right) + \left( \frac{\text{SLOPE}(m)}{G_O} \right) \delta F_C \right] (G_O + G)$$

The lookup table slope and current entries are predivided by  $G_O$  to eliminate a real-time multiplication by  $1/G_O$ .

Because of the scaling of inputs and outputs (see table A1) and the need to perform all calculations on 16-bit or less integer numbers, the stored look-up table values are scaled as shown in table A2.

TABLE A1.- SCALING OF INPUTS AND OUTPUTS

Variable	Range	Analog scale factor	Analog range	Digital scale factor	Digital range	Total scale factor
$F_C$	$\pm 11.12$ N $\pm 2.5$ lb	0.9 V/N 4 V/lb	$\pm 10$ V	204.8	$\pm 2047$	184.2 819.2
$I_C$	$\pm 5$ A	1 V/A	$\pm 5$ V	409.6	$\pm 2047$	409.6
$G$	$\pm 0.127$ cm $\pm 0.05$ in.	<sup>a</sup> 78.7 V/cm 200 V/in.	$\pm 10$ V	<sup>b</sup> 409.6	$\pm 4096$	$32.2 \times 10^3$ $5 \times 2^{14}$

<sup>a</sup>These values include the sum of both position sensors.

<sup>b</sup>This value includes a software multiplication by 2 (line 95).

APPENDIX A

TABLE A2.- SCALING OF TABLE VALUE

Variable	Units	Scaling factors <sup>a, b, c</sup>
SLOPE (m)	A/N	$\frac{(0.5) (2^8) (2^{16})}{(G_0) (32.2) (10^3)}$
	A/lb	$\frac{(0.5) (2^8) (2^{16})}{(G_0) (5) (2^{14})}$
I <sub>C</sub> (m)	A	$\frac{(2^{16})}{(G_0) (32.2) (2^{14})}$
	A	$\frac{(2^{16})}{(G_0) (5) (2^{14})}$

<sup>a</sup>The (0.5) factor accounts for the difference between the total scale factors for F<sub>C</sub> and I<sub>C</sub>.

<sup>b</sup>The (2<sup>8</sup>) and (2<sup>16</sup>) factors are employed to maximize the number of significant bits while maintaining intermediate and final results within a 16-bit integer format. These factors are removed by implied shifts during the two multiplications.

<sup>c</sup>Factors (G<sub>0</sub>) (32.2) (10<sup>3</sup>) and (G<sub>0</sub>) (5) (2<sup>14</sup>) are for G<sub>0</sub> in SI (cm) and U.S. Customary Units, respectively.

APPENDIX A  
Program Listing

ASM80 :F1:LOOKUP. ASM PRINT(:F1:LOOKUP. LST) OBJECT(:F1:LOOKUP. OBJ)PAGEWIDTH(80)  
EJECT

ISIS-II 8808/8805 MACRO ASSEMBLER, V3.0 MODULE PAGE 1

```

LOC  OBJ      LINE      SOURCE STATEMENT
      1 ;
      2 ;          LOOKUP. ASM
      3 ;
      4 ;
      5          EXTRN CURPOS, CURNEG, ADCIN, TABLE, CONV, MUXADR, STAT
      6          US
      7 ;          SAVE MAIN PROGRAM REGISTERS
0000 F5      8 INTRU:  PUSH PSW          ;SAVE A & PSW
0001 C5      9          PUSH B          ;SAVE BC
0002 D5     10          PUSH D          ;SAVE DE
0003 E5     11          PUSH H          ;SAVE HL
      12
      13 ;          LOAD FORCE COMMAND AND
      14 ;          SETUP FOR GAP MEASUREMENT
0004 2A0000  E 15      LHLD ADCIN      ;LOAD FORCE(N)
0007 3E06     16      MVI A, 6H      ;LOAD GAP CHANNEL
0009 320000  E 17      STA MUXADR     ;SELECT GAP CHANNEL
000C 320000  E 18      STA CONV      ;START GAP CONVERSION
      19
      20 ;          GENERATE DELTA FORCE COMMAND
      21 ;          AND TABLE ADDRESS OFFSET
000F 0600     22      MVI B, 06H      ;CLEAR B
0011 7C     23      MOV B, H      ;HIGH FORCE DATA > A
0012 E60F     24      ANI 0FH      ;MASK OUT HIGH 4 BITS
0014 67     25      MOV H, A      ;STORE DB11 THRU DB8 > H
0015 7D     26      MOV B, L      ;LOW FORCE DATA > A
0016 E61F     27      ANI 1FH      ;MASK OUT HIGH 3 BITS
0018 4F     28      MOV C, A      ;DELTA FORCE > C
0019 A0     29      XRA L      ;MOVE LOW DATA > A (LOW 5 BITS M
      ASKED)
001A 84     30      ADD H      ;COMBINE DB11 THRU DB8 WITH DB7
      THRU DB5
001B 07     31      RLC          ;
001C 07     32      RLC          ;REARRANGE BYTE
001D 07     33      RLC          ; TO FORM
001E 07     34      RLC          ; DB10, DB9, DB8, DB7, DB6, DB5, 0,
      0
001F 17     35      RAL          ;
0020 6F     36      MOV L, A      ;CONVERT TO
0021 3F     37      CMC          ; OFFSET
0022 17     38      RAL          ; BINARY
0023 E601     39      ANI 01H      ; FORM
0025 67     40      MOV H, A      ;
      41
      42 ;          COMPUTE ADDRESS OF SLOPE(N)
0026 110000  E 43      LXI D, TABLE ;LOAD TABLE START ADDRESS
0029 23     44      INX H      ;ADJUST "TABLE" ADDRESS VALUE
002A 23     45      INX H      ;
002B 19     46      DAD D      ;ADD TABLE START TO OFFSET
      47
      48
      49 ;          LOAD SLOPE(N)

```

APPENDIX A

1515-II 8000/8005 MACRO ASSEMBLER, V3.0

MODULE PAGE 2

LOC	OBJ	LINE	SOURCE STATEMENT
002C	5E	50	MOV E, M ; LOAD LOW BYTE SLOPE(N)
002D	23	51	INX H ; INCREMENT POINTER FOR HIGH BYTE
002E	56	52	MOV D, M ; LOAD HIGH BYTE SLOPE(N)
002F	23	53	INX H ; INCREMENT POINTER FOR CURRENT A
			DDRESS
		54	
		55	; MULTIPLY SLOPE(N) BY DELTA FORCE
		56	; <SPECIAL 8BIT X 16BIT MULT. >
0030	E5	57	PUSH H ; SAVE ADDRESS
0031	EB	58	XCHG ; SWAP MULTIPLICAN(SLOPE) TO HL
0032	22D000	59	SHLD TEMP ; SAVE MULTIPLICAN IN TEMP
0035	21CE00	60	LXI H, BNUM ; LOAD CYCLE COUNTER ADDRESS
0038	3609	61	MVI M, 09H ; LOAD CYCLE COUNTER
003A	110000	62	LXI D, 0H ; CLEAR TEMPORARY RESULT
003D	79	63	LOOP: MOV A, C ;
003E	1F	64	RAR ; ROTATE MULTIPLIER(DELTA)
003F	4F	65	MOV C, A ;
0040	35	66	DCR M ; DECREMENT CYCLE COUNTER
0041	CA5000	67	JZ FINI ; TEST FOR MULTIPLY COMPLETE
0044	D24F00	68	JNC SKIP ; JUMP IF MULTIPLIER BIT 0
0047	2AD000	69	LHLD TEMP ; GET MULTIPLICAN
004A	19	70	DAD D ; AND ADD
004B	EB	71	XCHG ; SAVE PARTIAL PRODUCT
004C	21CE00	72	LXI H, BNUM ; RELOAD BNUM ADDRESS
004F	7A	73	SKIP: MOV A, D ;
0050	1F	74	RAR ; ROTATE
0051	57	75	MOV D, A ;
0052	7B	76	MOV A, E ; TEMPORARY
0053	1F	77	RAR ;
0054	5F	78	MOV E, A ; RESULT
0055	C33D00	79	JMP LOOP ; LOOP
0058	E1	80	FINI: POP H ; RESTORE ADDRESS
		81	
		82	; COMPUTE CURRENT COMMAND FROM
		83	; BASEI(N) AND DELTA I
0059	4E	84	MOV C, M ; LOAD LOW BYTE BASEI(N)
005A	23	85	INX H ;
005B	46	86	MOV B, M ; LOAD HIGH BYTE BASEI(N)
005C	EB	87	XCHG ; SWAP DELTA I TO HL
005D	09	88	DAD B ; ADD BASEI(N) TO DELTA I
005E	44	89	MOV B, H ; MOVE CURRENT COMMAND
005F	40	90	MOV C, L ; TO BC
		91	
		92	; CORRECT FOR BEARING GAP VARIATION
0060	3A0000	E 93	LDA STATUS ; CLEAR RT11200 EOC FLAG
0063	2A0000	E 94	LHLD ADCIN ; LOAD GAP
0066	29	95	DAD H ; DOUBLE GAP
0067	3E05	96	MVI A, 5H ; LOAD FORCE COMMAND CHANNEL
0069	320000	E 97	STA MUXADR ; SELECT FORCE COMMAND CHANNEL
006C	111621	98	LXI D, GAP ; LOAD NOMINAL GAP VALUE
006F	B0	99	ORA B ; TEST FOR SIGN OF CURRENT COMMAND
		D	
0070	F5	100	PUSH PSW ; SAVE SIGN FLAG
0071	F27F00	101	JP UPPER ; JUMP TO UPPER BEARING COIL
		102	



APPENDIX A

IS15-II 8080/8085 MACRO ASSEMBLER, V3.0

MODULE PAGE 3

LOC	OBJ	LINE	SOURCE STATEMENT
		103	; COMPUTE LOWER BEARING COIL GAP
0074	19	104	LOWER: DAD D ;ADD GAP(T) TO NOMINAL GAP
0075	0B	105	DCX B ;
0076	79	106	MOV A,C ;TAKE
0077	2F	107	CMA ; ABSOLUTE
0078	4F	108	MOV C,A ;
0079	78	109	MOV A,B ; VALUE
007A	2F	110	CMA ; OF
007B	47	111	MOV B,A ; CURRENT
007C	C38500	112	JMP FINAL ;JUMP TO FINAL CURRENT COMMAND C
			COMPUTATION
		113	
		114	
		115	; COMPUTE UPPER BEARING COIL GAP
007F	7B	116	UPPER: MOV A,E ;SUBTRACT
0080	95	117	SUB L ; GAP(T)
0081	6F	118	MOV L,A ; FROM
0082	7A	119	MOV A,D ; NOMINAL
0083	9C	120	SBB H ; GAP AT
0084	67	121	MOV H,A ; CENTER
		122	
		123	; MULTIPLY GAP BY CURRENT COMMAND
0085	22D000	124	FINAL: SHLD TEMP ;STORE MULTIPLICAN IN TEMP
0088	21CE00	125	LXI H,BNUM ;STORE
0088	3611	126	MVI M,11H; ; BIT COUNT
0080	110000	127	LXI D,00H ;INITIALIZE RESULT
0090	78	128	LOOP1: MOV A,B ;ROTATE
0091	1F	129	RAR ;
0092	47	130	MOV B,A ;MULTIPLIER
0093	79	131	MOV A,C ;
0094	1F	132	RAR ;RIGHT
0095	4F	133	MOV C,A ;
0096	35	134	DCR M ;DECREMENT BIT COUNT
0097	CANE00	135	JZ FINI1 ;DONE? THEN OUTPUT
009A	D2A500	136	JNC SKIP1 ;JUMP IF NO CARRY FROM ROTATE
0090	2AD000	137	LHLD TEMP ; OTHERWISE
00A0	19	138	DAD D ; ADD MULTIPLICAN
00A1	EB	139	XCHG ;SAVE RESULT
00A2	21CE00	140	LXI H,BNUM ;RESTORE BIT COUNT POINTER
00A5	7A	141	SKIP1: MOV A,D ;ROTATE
00A6	1F	142	RAR ; TEMP
00A7	57	143	MOV D,A ; RESULT
00A8	7B	144	MOV A,E ; RIGHT
00A9	1F	145	RAR ;
00AA	5F	146	MOV E,A ;
00AB	C39000	147	JMP LOOP1 ;REPEAT LOOP
		148	
		149	; CHECK FOR OVERCURRENT VALUE
		150	; AND OUTPUT RESULT TO CORRECT PORT
00AE	EB	151	FINI1: XCHG ;SWAP CURRENT TO HL
00AF	7C	152	MOV A,H ;LOAD CURRENT
00B0	FE08	153	CPI 08H ;TEST CURRENT VALUE
00B2	DAB000	154	JC OK ;JUMP IF OK
00B5	21FF07	155	LXI H,07FFH ;CURRENT=MAXIMUM CURRENT
00B8	F1	156	OK: POP PSW ;RESTORE CURRENT SIGN

## APPENDIX A

IS15-II 8080/8085 MACRO ASSEMBLER, V3.0      MODULE PAGE 4

LOC	OBJ	LINE	SOURCE STATEMENT
00B9	F2C200	157	JP OUTPOS ; JUMP IF POSITIVE
00BC	220000	E 158	SHLD CURNEG ; OUTPUT RESULT TO LOWER BEARING
			D/A
00BF	C3C500	159	JMP RETURN ; RETURN
00C2	220000	E 160	OUTPOS: SHLD CURPOS ; OUTPUT RESULT TO UPPER BEARING
			D/A
00C5	E1	161	RETURN: POP H ; RESTORE HL
00C6	D1	162	POP D ; RESTORE DE
00C7	C1	163	POP B ; RESTORE BC
00C8	3E20	164	MVI A, 20H ; LOAD END OF INTERRUPT
00CA	D3DA	165	OUT 0DAH ; OUTPUT EOIC
00CC	F1	166	POP PSW ; POP A & PSW
00CD	C9	167	RET ; RETURN
		168	
		169	
		170	
		171	
00CE	0000	172	BNUM: DW 0
00D0	0000	173	TEMP: DW 0
2116		174	GAP EQU 8470
		175	END

### PUBLIC SYMBOLS

#### EXTERNAL SYMBOLS

ADCIN E 0000	CONV E 0000	CURNEG E 0000	CURPOS E 0000
MUXADR E 0000	STATUS E 0000	TABLE E 0000	

#### USER SYMBOLS

ADCIN E 0000	BNUM A 00CE	CONV E 0000	CURNEG E 0000
CURPOS E 0000	FINAL A 0085	FINI A 0058	FINI1 A 00AE
GAP A 2116	INTRU A 0000	LOOP A 0030	LOOP1 A 0090
LOWER A 0074	MUXADR E 0000	OK A 0008	OUTPOS A 00C2
RETURN A 00C5	SKIP A 004F	SKIP1 A 00A5	STATUS E 0000
TABLE E 0000	TEMP A 0000	UPPER A 007F	

ASSEMBLY COMPLETE, NO ERRORS

## APPENDIX B

### MAGNETIC BEARING CURRENT DRIVER

A schematic diagram of the current driver used in the magnetic bearing test system is shown in figure B1. The driver is capable of supplying up to

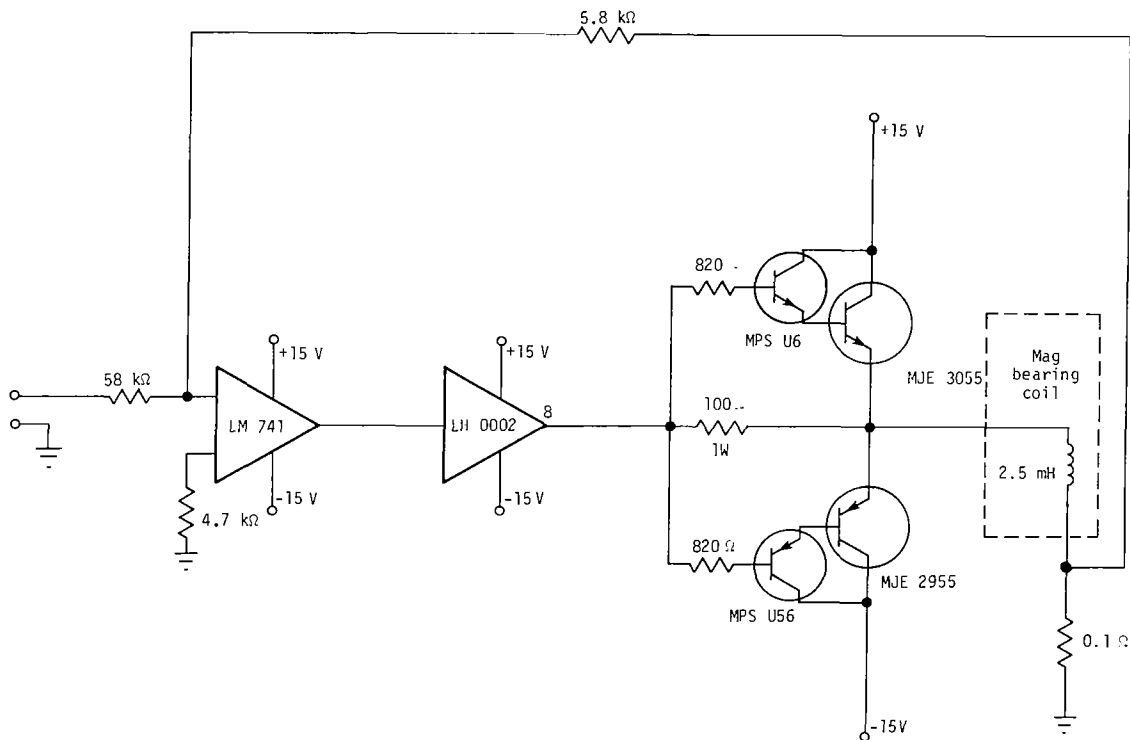
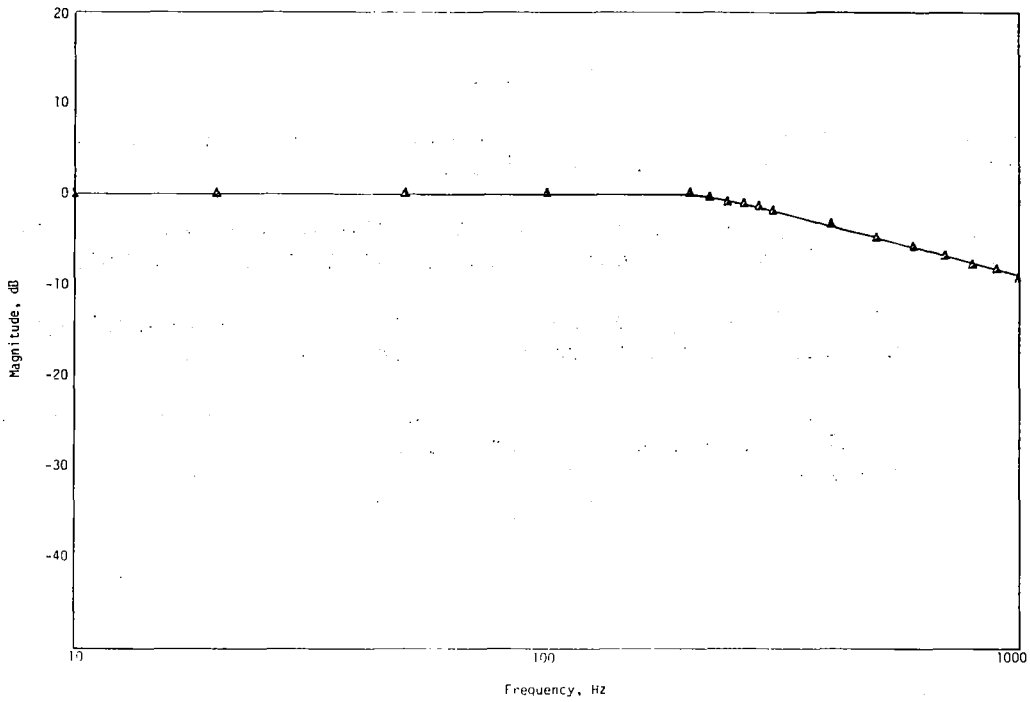


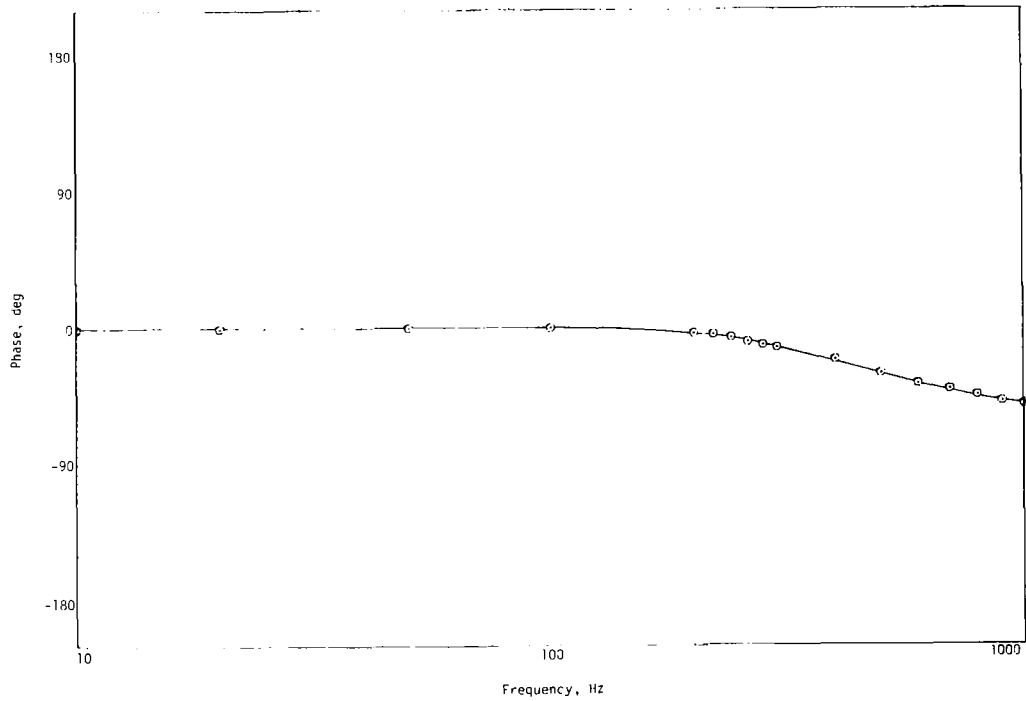
Figure B1.- Magnetic bearing current driver.

5 A to each bearing coil and has a gain of 1 A/V. Drive is provided by the LH 0002 current amplifier at low current levels (<100 mA) and by the complementary Darlington configuration at higher levels. The driver provides flat response over a bandwidth greater than 200 Hz (fig. B2). The frequency response is limited by the ability of the power supply voltage to overcome the back emf of the bearing coil, and the effect is observed as an apparent slew rate limitation. The 200-Hz bandwidth is sufficient to evaluate the table look-up algorithm.

APPENDIX B



(a) Magnitude.



(b) Phase.

Figure B2.- Frequency response (magnitude and phase) of magnetic bearing current driver.