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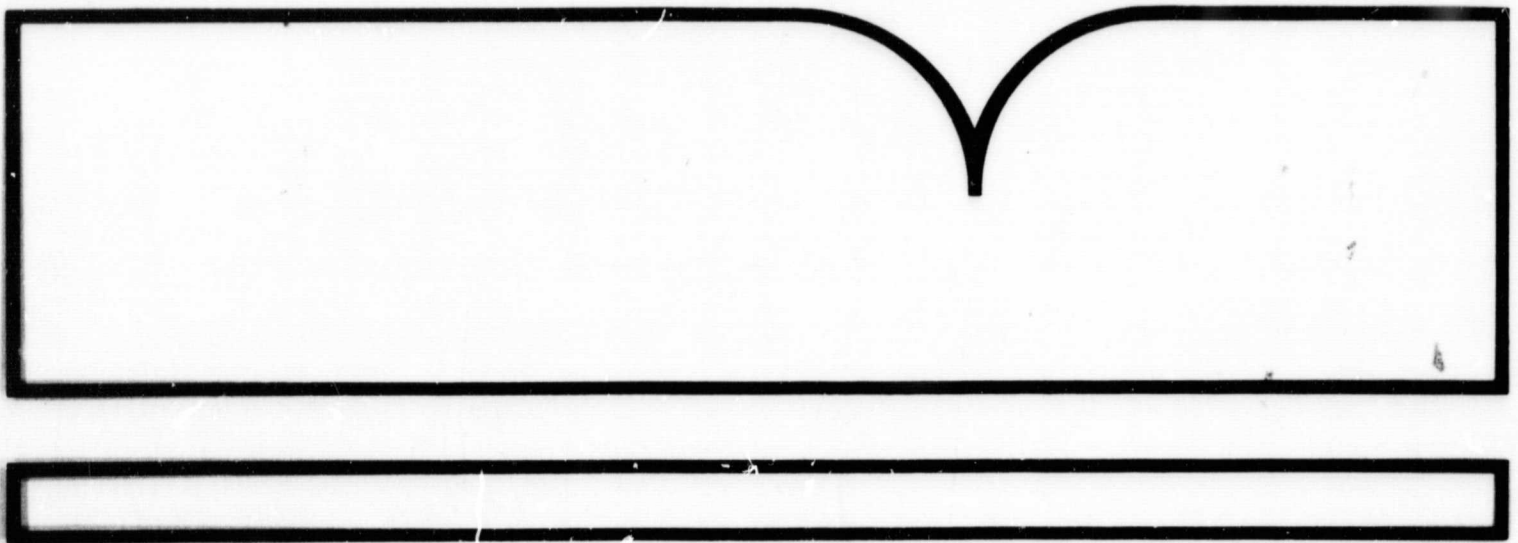
Verification and Transfer of Thermal
Pollution Model. Volume VI: User's Manual for
One-Dimensional Numerical Model

Miami Univ.
Coral Gables, FL

Prepared for

National Aeronautics and Space Administration
Cocoa Beach, FL

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May 1982



Research and Development

VERIFICATION AND TRANSFER OF
THERMAL POLLUTION MODEL

Volume VI, User's Manual for
One-dimensional Numerical Model

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16. ABSTRACT The six-volume report: describes the theory of a three-dimensional (3-D) mathematical thermal discharge model and a related/one-dimensional (1-D) model, includes model verification at two sites, and provides a separate user's manual for each model. The 3-D model has two forms: free surface and rigid lid. The former, verified at Anclote Anchorage (FL), allows a free air/water interface and is suited for significant surface wave heights compared to mean water depth; e.g., estuaries and coastal regions. The latter, verified at Lake Keowee (SC), is suited for small surface wave heights compared to depth (e.g., natural or man-made inland lakes) because surface elevation has been removed as a parameter. These models allow computation of time-dependent velocity and temperature fields for given initial conditions and time-varying boundary conditions. The free-surface model also provides surface height variations with time. The 1-D model is considerably more economical to run but does not provide the detailed prediction of thermal plume behavior of the 3-D models. The 1-D model assumes horizontal homogeneity, but includes area-change and several surface-mechanism effects.		
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VERIFICATION AND TRANSFER
OF THERMAL POLLUTION MODEL

VOLUME VI: USER'S MANUAL FOR ONE-DIMENSIONAL
NUMERICAL MODEL

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PREFACE

Emphasis continues to be placed on the use of digital computers in solving nonlinear hydrodynamic and thermodynamic equations of fluid flow. This publication of the thermal pollution group at the University of Miami presents the solution of one such problem. This problem deals with the use of a numerical one-dimensional model in predicting the temperature profiles of a deep body of water. Although this model can be applied to most lakes, a specific site (Lake Keowee, S. C.) application has been chosen and described in detail. The programs are written in fortran V and could be modified by the user. Some of these modifications are suggested either in the text or in the specific programs.

A detailed derivation of the equations integrated has been left out; however, to improve readability of the final equations, the meaning of the terms and variables occurring in these equations are included.

This research was performed at the thermal pollution laboratory at the University of Miami. Funding was provided by the National Aeronautics and Space Administration (NASA-KSC) and the Environmental Protection Agency (EPA-RTP).

ABSTRACT

A user's manual for a one-dimensional thermal model is described. The model is essentially a set of partial differential equations which are solved by finite difference methods using a high speed digital computer. The main equations integrated are discussed. The programs are written in fortran V and an example problem is discussed in detail.

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SYMBOLS

z	Vertical coordinate measured upward from deepest point of the lake. As a subscript it marks the vertical components of a vector.	C	Heat capacity
h	Depth of lake	$H^{\rho}(z)$	Heat source/unit volume
$A(z)$	Horizontal cross-sectional area at height Z	A_1	Average value of W^*
$I(z)$	Bottom-surface source of mass per unit area	B_1	Half of the annual variation W^*
$Q(z)$	Bottom-surface source of heat per unit area	C_1, C_2, C_3, C_4, C_5	Phase angles
T	Temperature ($^{\circ}\text{C}$)	ϕ_0	Solar radiation incident on the water surface
ρ	Density of water	A_2	Average value of ϕ_0
V^z	Vertical velocity	B_2	Half the annual variation of ϕ_0
K^z	Eddy diffusivity	η	Extinction coefficient
K^z_{z0}	Eddy diffusivity under neutral condition	β	Absorption coefficient
$W^* = (\tau_{s/0})$	Friction velocity	Q_p	Volumetric discharge
σ_1	Empirical constant	ΔT	Condenser temperature change
R_i	Richardson number	T_D	Discharge temperature
α_V	Volumetric coefficient of expansion of water	q_s	Surface heat flux
τ_s	Surface shear stress	K_s	Surface heat exchange coefficient
		T_E	Equilibrium temperature
		A_3	Average value of T_E
		B_3	Half the annual variation of T_E
		T_s	Surface temperature
		q_B	Bottom surface heat flux
		R	Lake surface radius
		$\frac{dA}{dz}$	Area variation with depth

ACKNOWLEDGMENTS

This work was supported by a contract from the National Aeronautics and Space Administration (NASA-KSC) and the Environmental Protection Agency (EPA-RTP).

The authors express their sincere gratitude for the technical and managerial support of Mr. Roy A. Bland, the NASA-KSC project manager of this contract, and the NASA-KSC remote sensing group. Special thanks are also due to Dr. Theodore G. Brna, the EPA-RTP project manager, for his guidance and support of the experiments, and to Mr. S. B. Hager, Chief Engineer, Civil-Environmental Division, and Mr. William J. McCabe, Assistant Design Engineer, both from the Duke Power Company, Charlotte, North Carolina, and their data collection group for data acquisition. The support of Mr. Charles H. Kaplan of EPA was extremely helpful in the planning and reviewing of this project.

SECTION 1

INTRODUCTION

It is important that the thermal behavior of heated discharges and their receiving basins be clearly understood.

A numerical model that can be used for predicting the seasonal thermocline of a deep body of water is very useful in studying the environmental impact of thermal discharges from power plants. This is not only required for existing power plants but also for planned units. Thus, a predictive capability is essential to the licensing procedure. Monitoring programs cannot satisfy these needs, but from time to time, play a vital role in the calibration and verification of mathematical models.

The one-dimensional, thermal numerical model, described in this manual, features the effects of area change with depth, nonlinear interaction of wind-generated turbulence and buoyancy, absorption of radiative heat flux below the surface, thermal discharges and the effects of vertical convection caused by discharge. The main assumption in the formulation of this model is horizontal homogeneity.

This model can be applied to most stratified deep bodies of water. This stratification has a seasonal cycle and is an important natural characteristic of a body of water. The body of water could be divided into any number of slices. The temperature of each slice is predicted by the model. The surface slice exchanges heat with the environment of known climatic conditions while the bottom slice is assumed perfectly insulated. Condenser cooling water is extracted from any one of the slices and heated by the power plant. The discharge is injected into a slice of the same temperature as the discharge.

The main function of the model is the prediction of the temperature profiles in a deep body of water for any number of annual cycles. However, predictions cannot be made on hourly basis - a feature usually handled by a more sensitive three-dimensional model. This is the main limitation of the model.

The procedure used in writing this manual is as follows:

Description and flow chart of the main program are given in Section 3, where the subroutines are also described. In the next section, a list of the variables and dimensions are given. The next three sections

show how a typical run is prepared, executed and plotted. An example case is discussed in Appendix A, while Appendix B gives the fortran source program listings.

SECTION 2

RECOMMENDATIONS

The main disadvantage of a one-dimensional thermal model lies in the fact that resolution is sacrificed for computational speed. Three dimensional models are bulky and time consuming but have much better resolution, however, when long term simulations are necessary, a one-dimensional model is recommended.

The model described here can be modified to include the single effects of the various quantities involved in the surface heat transfer phenomenon rather than using the equilibrium temperature concept. This is particularly recommended for the user who is interested in modeling the long term effects of one (for example, evaporation) of the quantities involved in the surface heat transfer processes.

Furthermore, the model can be easily adapted to handle connected multiple domains. This recommendation is discussed in the text.

SECTION 3

PROGRAM DESCRIPTION AND FLOW CHART

DESCRIPTION OF PROGRAM ALGORITHM

Background

A view of an idealized deep body of water is shown in Figure 1. This basin is divided into eleven slices. The inner nine slices are of equal thickness, DZ , while the top and bottom slices are of thickness $DZ/2$. The thickness, DZ , is determined from the depth of the basin and the number of slices used. The temperature of each slice is as shown in Figure 1; the horizontal lines correspond to the center of each slice.

The condenser cooling water (CCW), if any, could be taken from any slice. In Figure 1, the CCW is extracted from the center of Slice 2 which is at temperature T_3 . The discharge temperature, T_D , is the sum of T_3 and the increase in temperature through the condenser. T_D is injected into a slice of equal temperature or treated as a surface outfall if T_D is greater than the highest temperature of the basin.

The basin also gains or loses heat from the surface as a result of changing climatic conditions which are required as input data. These could vary every time step, daily or monthly.

Algorithm

The problem is an initial value problem, so the values of dependent variables are assumed known initially. The governing and associated equations are discussed in the next section. The governing equation is parabolic and mathematically represents a diffusion process with vertical convection.

The values of the dependent variables at successive time steps are obtained by using a forward-time Dufort-Frankel scheme.

The sequence in which calculations are performed is as follows:
(Refer to Summary of Variables - next section.)

1. The dependent variables, T , K_Z , W^* , A_V , ρ , T_E and K_S , are initialized. The area of each slice is calculated and then the time step

T12 = TS, A12

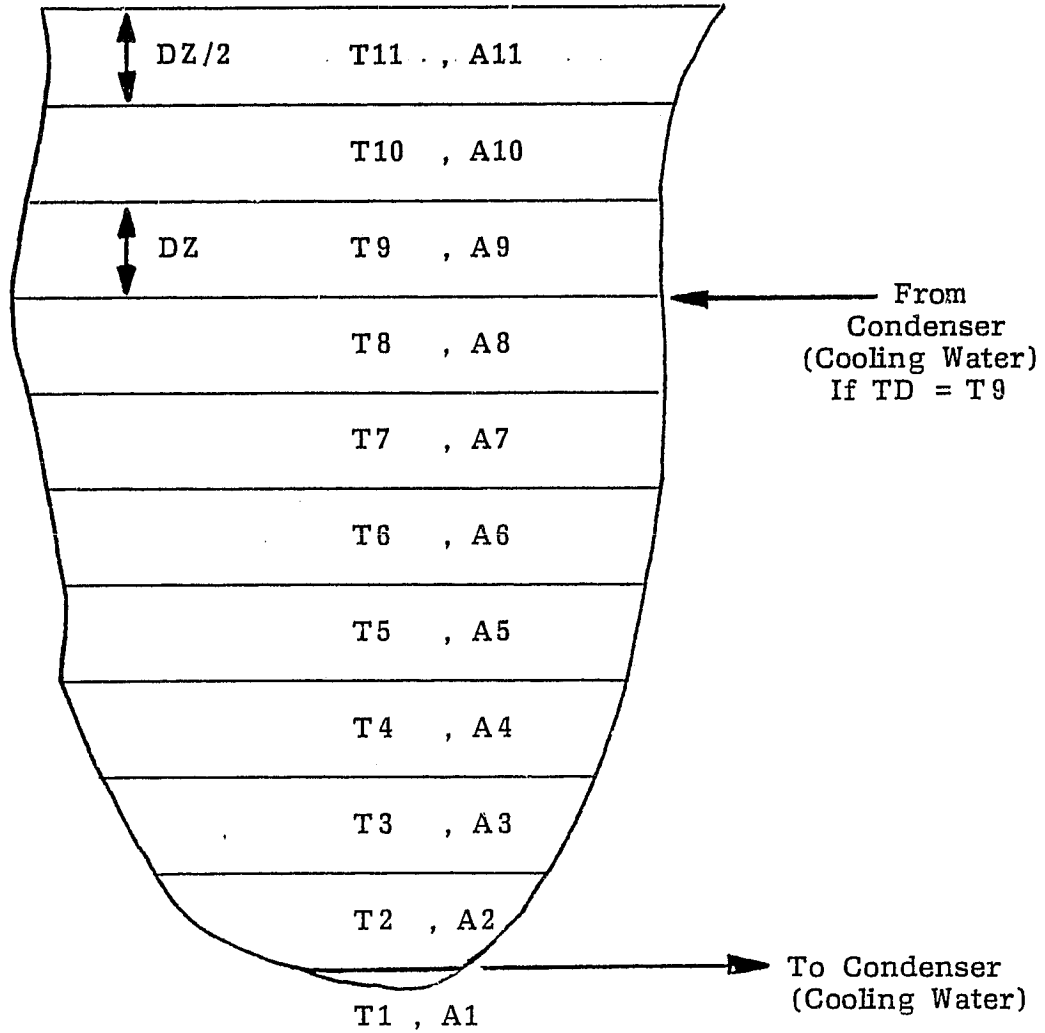


Figure 1. Idealized deep body of water

is calculated. The heading of the beginning year is printed. The values of the variables, K_z , W^* , A_v , ρ , T_E and K_S , are then calculated. The temperatures of the slices are finally calculated. If the temperature profile is unstable, mixing of the unstable portion of the profile is undertaken.

2. During the next time step, the temperatures are updated, and the dependent variables are calculated again.
3. The values of the temperature T , eddy diffusivity K_z , number of days and surface heat transfer coefficient K_S are printed every time step, every day or normally at the end of each month. At the end of the present year, the title of the new year is printed and computations continue as listed above. These steps are shown in a flow chart, Figure 2. The results are stored on a magnetic tape and plotted when necessary.

Description of Main and Subprograms

The fortran calculation programs consist of a main program (NASA) and seven subroutines (YEARS, EQUIL1, STORE, CCW, SMOOTH, MIXIT and AREAS).

1. MAIN: The main program handles the input data, calls the subroutines and does the temperature calculations. Two alternatives are given for handling the input data; these are either read through cards or in-data files or through a block-data arrangement given at the beginning of the main program. For users interested in the block-data package, the following caution is necessary: Whenever a data or set of data is changed, the main program must be recompiled!
2. YEARS: This subroutine prints the year heading. It is called at the beginning of a new year.
3. EQUIL1: This subroutine reads the dewpoint temperature, wind speed and solar radiation. It then computes the surface heat transfer coefficient and the equilibrium temperature. Depending on how the data has been averaged (e.g. days, months or years); it is called as often as needed.
4. STORE: This subroutine stores the calculated data on magnetic tape designated as Unit 8. The stored data could be read by the plotting subroutine called READER. This subroutine and other plot programs are described later.
5. CCW: This subroutine supplies the condenser cooling water data. The data is also converted to the required units by this subroutine.
6. SMOOTH: This subroutine finds the largest value of the eddy dif-

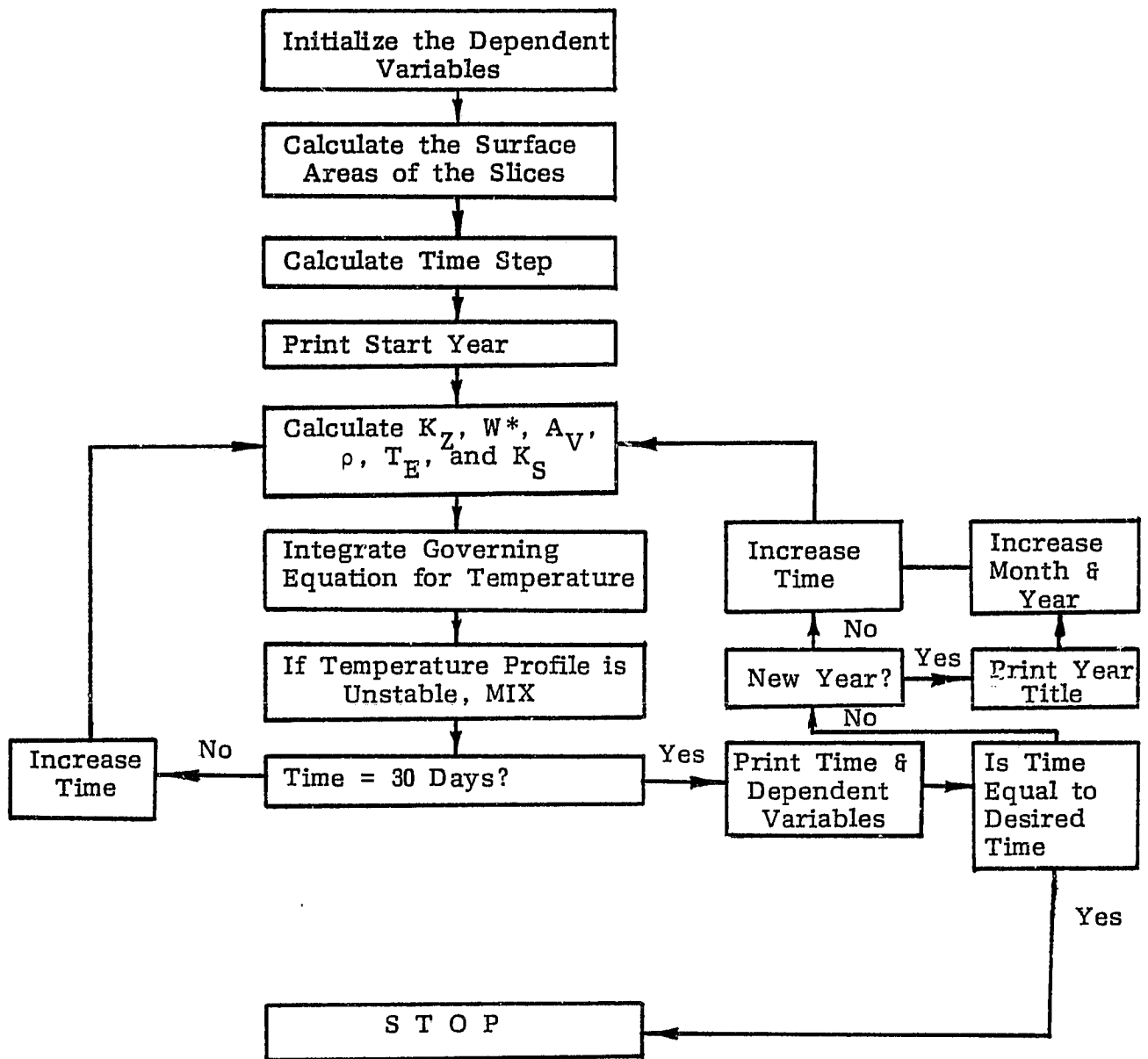


Figure 2. Flow chart (calculation)

fusivity and uses it to calculate the variable time step. It also smoothens the calculated eddy diffusivity for unstable temperature gradients. It is called every time step.

7. MIXIT: This subroutine looks for unstable temperature gradients and mixes or stabilizes the temperatures. It is also called every time step.
8. AREAS: This subroutine handles the surface areas of each slice and converts the values to the required units. It is called only once at the beginning of the computations.
9. INPUT: This is an in-data element containing all input data.

SECTION 4

DESCRIPTION OF PROGRAM SYMBOLS

Introduction

The programs have been written to calculate, as a function of depth, thermal diffusivity and temperature profiles over complete annual cycles. The equation integrated is

$$A(z) \frac{\partial}{\partial t} (\rho C_p T) = \frac{\partial}{\partial z} (\rho C_p A(z) K \frac{\partial T}{\partial z}) - \frac{\partial}{\partial z} (\rho C_p A(z) T V_z) + QA' + A(z) H(z) \quad (1)$$

The above equation requires two boundary conditions and one initial condition.

The initial condition is an input quantity supplied by the user and equals the homothermal temperature of the basin. The boundary conditions are:

1. At the surface;

$$K \frac{\partial T}{\partial z} \Big|_{z=h} = K_S (T_E - T_S) \quad (2)$$

where Z = vertical coordinate measured from the deepest point

T_E = equilibrium temperature

T_S = surface temperature

K_S = surface heat exchange coefficient

2. At the bottom;

Perfect insulation is assumed,

$$\frac{\partial T}{\partial z} \Big|_{z=0} = 0 \quad (3)$$

Calculations of the temperature profiles are made by numerical integration of Equation (1). Calculations start with the homothermal conditions and a forward explicit scheme is used.

Each time step, the surface temperature, $T_S = T_{12}$, is calculated

and then the temperature of each slice is calculated. Solar radiation is absorbed at the surface slice and the unabsorbed portion is transmitted exponentially to the slices below.

The empirical relations involved in this manual are summarized below. A full discussion is given in the final report, Lee et al. (1980).

Description of Main Variables

1. Density, ρ , fortran variable - ROW:

$$\rho = A_1 + B_1 T + C_1 T^2 \quad (4)$$

where A_1 = density at 0°C
 = 1.02943 gm/cc
 B_1 = constant
 = -0.00002
 C_1 = constant
 = -0.0000048

2. Eddy diffusivity, K_Z , fortran variable = XKZ

$$K_Z = K_{Z0} (1 + \sigma_1 R_i)^{-1} \quad (5)$$

and

$$R_i = \frac{\alpha_V g_Z^2}{W^{*2}} \frac{\partial T}{\partial Z} \quad (6)$$

where R_i = Richardson number
 σ_1 = 0.1, an empirical constant, fortran variable - SIGMA
 g = acceleration due to gravity, fortran variable - G
 W^* = friction velocity, fortran variable - FRVEL
 = (τ_s / ρ)

$$\alpha_V = A_2 + B_2 (T - 4) + C_2 (T - 4)^2 \quad (6a)$$

fortran variable for α_V , AV

where A_2 = 0, volumetric coefficient of expansion at 4°C, fortran variable - A1
 B_2 = constant, fortran variable - A2
 = 1.538×10^{-5}
 C_2 = constant, fortran variable - A3
 = -2.037×10^{-7}

α_V can also be estimated by using Equation (4).

where K_{ZO} = eddy diffusivity under neutral condition (varies with time), fortran variable - XKZO

$$K_{ZO} = A_3 + B_3 \sin\left(\frac{2\pi}{365}t + C_3\right) \quad (t \text{ is in days}) \quad (6b)$$

where A_3 = average value of K_{ZO} , fortran variable - R9
 B_3 = half annual variation of K_{ZO} , fortran variable - R10
 C_3 = phase angle, fortran variable - R8

3. Heat source, H, fortran variable - F6

$$H = \eta(1 - \beta)A(Z) \phi_o \exp(-\eta(Z - h)) \quad (7)$$

where $\beta = 0.5$, fraction of the solar radiation absorbed at the surface
 $\eta = 0.75$, solar radiation absorption coefficient
 ϕ_o = net solar radiation reaching the water surface (input variable), fortran variable - HSOL

SECTION 5

PREPARATION OF INPUT DATA

The input data is stored in an in-data file - INPUT. Alternatively, it could be punched on cards. The input data is read in with an open format. The main variables read are: dewpoint temperature, wind speed and solar radiation. In some cases where the dewpoint temperature is not available, the relative humidity, air temperature and a psychrometric chart are used to find the dewpoint temperature. If this involves a lot of chart reading, subroutine EQUIL1 could be modified and the dewpoint temperature calculated from a known equation supplied by the user. If the latter case is used, then the input data base is enlarged to read air temperature, relative humidity, wind speed and solar radiation. A detailed input list of the constants is given in Appendix A.

SECTION 6

PLOTTING PROGRAMS AND EXECUTION ELEMENTS

DESCRIPTION OF PROGRAMS

The fortran plotting routine consists of one main program (PLOTTER) and one subroutine (READER).

PLOTTER: This program calls the calcomp fortran subroutines (refer to a Calcomp plotting manual for details) and the subroutine (READER) which reads the calculated results from a magnetic tape designated as Unit 8. (See Item A.4.) A flow chart is shown in Figure 3.

READER: Reads the calculated data stored on Unit 8 (magnetic tape).

Execution Elements

Two execution elements are used, one for executing the calculated results and the other for executing the plots.

DO-IT: This element compiles and prints the main program (NASA) and then prepares an entry point table, maps the necessary programs and subprograms, calls the in-data element containing the input data and finally, executes the calculations. This is done as follows for a UNIVAC 1100 computer at the University of Miami.

Only one magnetic tape is necessary.

1. @ ASG, AX FILE,

The 'FILE' is assigned for the run.

2. @ ASG, T 8., 16N, TAPENAME

A magnetic tape file named '8.' is being assigned. The tape is 9-track, and the reel number is 'TAPENAME'. The calculated results are stored on this tape.

3. @ PRT, S FILE.NASA

The main program is printed.

4. @ PACK FILE.
The 'FILE' is packed.
5. @ PREP FILE.
The entry point table is prepared.
6. @ MAP, S
7. IN FILE.NASA
8. LIB FILE.
9. END
10. @ XQT
11. @ ADD FILE.INPUT
12. @ FIN

PLOT-IT: Similar to DO-IT, but handles the plotting executions. For a UNIVAC 1100 computer the following cards are necessary. Two magnetic tapes are necessary.

1. @ ASG, AX FILE.
2. @ ASG, T 8., 16N, TAPENAME
3. @ ASG, T 11., 16, PLOTTAPE

A magnetic tape file named '11.' is being assigned. The tape is 7-track, and the reel number is 'PLOTTAPE'. The plots are stored on this tape.

4. @ PRT, S FILE.PLOTTER
The plot program is printed.
5. @ PACK FILE.
6. @ PREP FILE.
7. @ MAP, S
8. IN FILE.PLOTTER
9. LIB FILE.
10. END

11. @ XQT
12. @ ADD FILE.INPUT
13. @ FIN

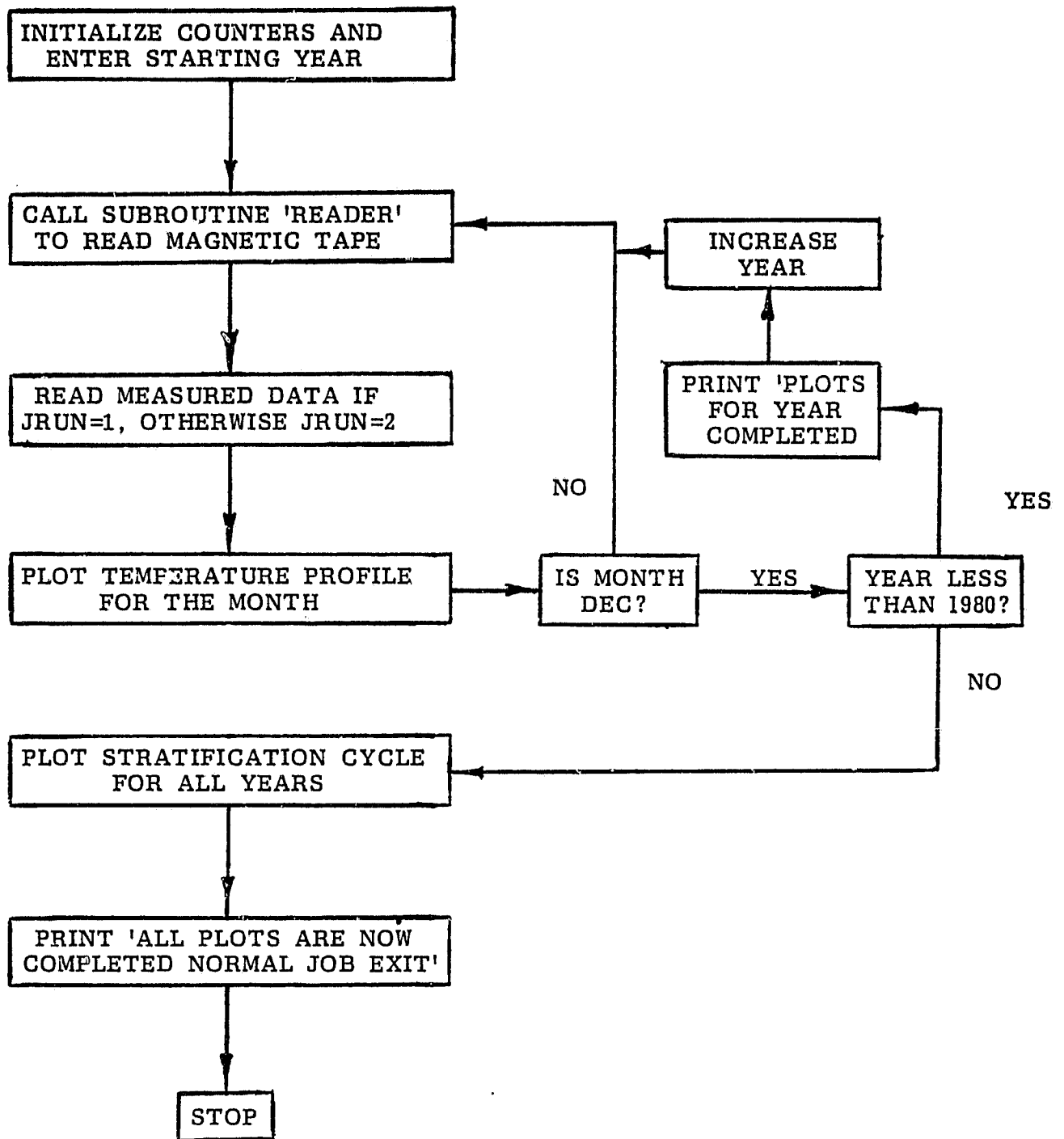


Figure 3. Flow chart (plots)

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APPENDIX A

APPENDIX A

EXAMPLE PROBLEM

The model described in this manual was verified using monthly-averaged data supplied by Duke Power Company for Lake Keowee, South Carolina. Accordingly, the data discussed below apply to Lake Keowee.

SITE DESCRIPTION

Lake Keowee is located 40 km west of Greenville, South Carolina. It is the source of cooling water for Oconee Nuclear Station (ONS). It was formed from 1968 through 1971 by damming the Little and Keowee rivers. A connecting canal (maximum depth 30.5 m) joins the two main arms of the lake. Flow out of the lake is through the Keowee Hydro Station. Lake Keowee also exchanges water with Lake Jocassee-pumped storage station. The three-unit ONS with a net capacity of 2580 Mwe started operating in July 1973. ONS operated on annual gross thermal capacity factors of 11, 28, 69 and 59% in the years 1973 through 1976, respectively. From 1977 to 1979 the factors varied from 65 to 75%. A map showing the geometry of the lake is given in Figure 4.

PROBLEM STATEMENT

Calculation of Parameters and Input Data

1. The fortran variable $DM(I, J)$ is a two-dimensional array containing the temperatures at the connecting channel between Lake Keowee and the Jocassee-pumped storage station. The data is averaged monthly. The units are in degrees Celcius ($^{\circ}C$). I is the year counter and J is the month counter. The inputs for the first year are punched on the first card, the next year on the next card, and so on. Accordingly, each card contains twelve inputs in open format (real floating point numbers).
2. The following fortran variables/constants are also read in with open format, five on one card.

IYEAR: starting year - 1971 (could be changed).

DZ: thickness of an inner slice (ft) - (maximum depth of lake)/(10.0).

XKZL: lower limit of the eddy diffusivity (ft^2/day) - corresponds to

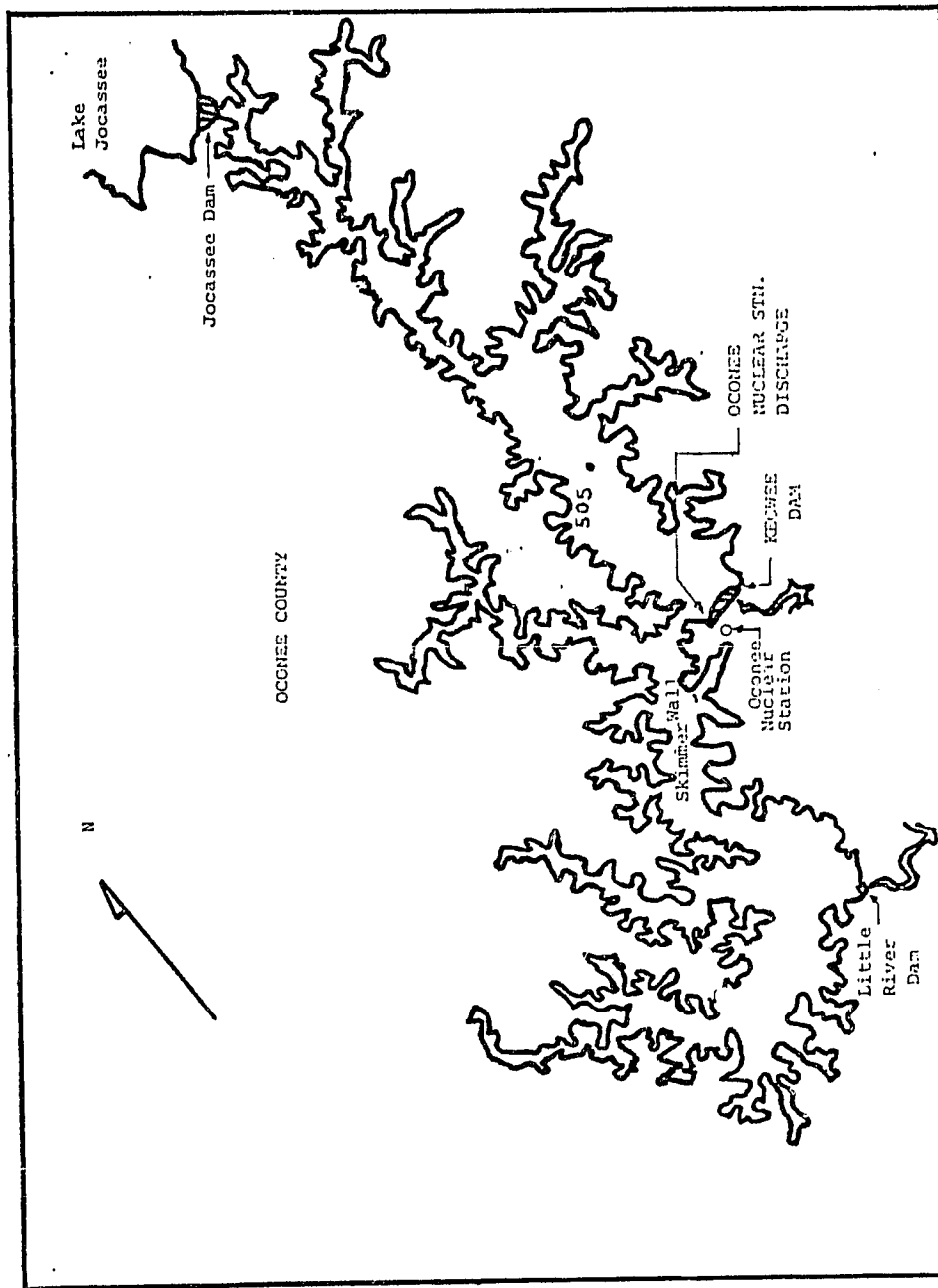


Figure 4. Lake Keowee

the thermal diffusivity of solid water (15 ft²/day).

H: maximum depth of lake, ft (150 ft).

G: acceleration due to gravity (ft/sec²).

PI: $\pi = 3.1415926$.

A1: corresponds to A2 in Equation (6a); $A1 = 0 \text{ } ^\circ\text{C}^{-1}$.

A2: corresponds to B2 in Equation (6a); $A2 = 1.538 \times 10^{-5} \text{ } ^\circ\text{C}$.

A3: corresponds to C2 in Equation (6a); $A3 = -2.037 \times 10^{-7} \text{ } ^\circ\text{C}$.

A4: corresponds to A1 in Equation (4); $A4 = 1.02943 \text{ gm/cc } ^\circ\text{C}$.

A5: corresponds to B1 in Equation (4); $A5 = 0.00002 \text{ gm/cc } ^\circ\text{C}$.

A6: corresponds to C1 in Equation (4); $A6 = -0.0000048 \text{ gm/cc } ^\circ\text{C}^2$.

(NOTE: The units for A4 through A6 are automatically converted to consistent units in the main program.)

TO: homothermal temperature of lake (initial condition); $TO = 7.8 \text{ } ^\circ\text{C}$.

C_p : specific heat; $C_p = 1.8 \text{ BTU/lb } ^\circ\text{C}$.

SIGMA: see Equation (5); $SIGMA = \sigma_1 = 0.1$.

**R6,R7,R8: the friction velocities (τ_s/ρ) are calculated for the whole period and fitted into a sine curve: (friction velocity OMEGA)

$$W^* = R6 + R7 \sin\left(\frac{2\pi}{365} \text{time} + R8\right)$$

where R6 = average value of W^* , 0.1 ft/sec.

R7 = average value of the half annual variations of W^* , 0.025 ft/sec.

R8 = phase angle, 2.61 radians

TIME is in days, not specified.

R8,R9,R10: correspond to C3, A3, and B3 of Equation (6b) respectively; $R9 = 800 \text{ ft}^2/\text{day}$ and $R10 = 200 \text{ ft}^2/\text{day}$.

DATA1: 0 or 1 (see below).

3. The next set of inputs is the dewpoint temperatures, wind speed and

**Alternatively, friction velocity could be read in as monthly averages. If this alternative is followed, then DATA1 = 1, otherwise DATA1 = 0.

solar radiation. These can either be punched on cards or stored in an in-data element. They are read every month. Each card contains three members. For example: for January-March 1971 (Lake Keowee), the data are

3.0, 6.69, 167.0

0., 9.3, 264.4

6.3, 9.28, 264.4

The first number on each line (each card) is the dewpoint temperature in °C. The second one is the wind speed in ft/sec. The third quantity is the solar radiation in BTU/ft²day. If DATA1 = 1, a fourth number must be included on each line (every card). This fourth quantity is the computed friction velocity for each month.

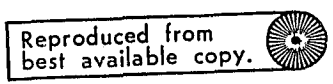
NOTE: The in-data element described above is called INPUT. (See Fortran Source Program Listing, Appendix B.)

Sample Output and Sample Plots

* YEAR = 1971 *											

MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
28	155.13	7.80	7.80	7.80	7.80	7.80	7.80	7.80	7.80	7.80	7.80
30	7.80	801.70	801.70	801.70	801.70	801.70	801.70	801.70	801.70	801.70	801.70
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
6C	165.52	7.39	7.39	7.39	7.39	7.39	7.39	7.39	7.39	7.39	7.39
8C	7.39	701.57	701.57	701.57	701.57	701.57	701.57	701.57	701.57	701.57	701.57
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
5C	164.02	7.77	7.77	7.77	7.77	7.77	7.77	7.77	7.77	7.77	7.77
9C	7.77	7.60	7.60	7.60	7.60	7.60	7.60	7.60	7.60	7.60	7.60
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
12C	167.79	7.73	7.73	7.73	7.73	7.73	7.73	7.73	7.73	7.73	7.73
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
15C	183.08	7.93	7.93	7.93	7.93	7.93	7.93	7.93	7.93	7.93	7.93
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
18C	213.15	8.15	8.15	8.15	8.15	8.15	8.15	8.15	8.15	8.15	8.15
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
21C	204.74	8.24	8.24	8.24	8.24	8.24	8.24	8.24	8.24	8.24	8.24
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
24C	202.42	8.54	8.54	8.54	8.54	8.54	8.54	8.54	8.54	8.54	8.54
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
27C	251.52	9.20	9.20	9.20	9.20	9.20	9.20	9.20	9.20	9.20	9.20
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
30C	167.98	8.31	8.31	8.31	8.31	8.31	8.31	8.31	8.31	8.31	8.31
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
33C	168.76	8.73	8.73	8.73	8.73	8.73	8.73	8.73	8.73	8.73	8.73
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
36C	132.35	11.58	11.58	11.58	11.58	11.58	11.58	11.58	11.58	11.58	11.58
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
39C	114.47	11.46	11.46	11.46	11.46	11.46	11.46	11.46	11.46	11.46	11.46
MONTH IS	1971	.0	.0	.0	.0	.0	.0	.0	.0	.0	.0
42C	171.92	11.96	11.96	11.96	11.96	11.96	11.96	11.96	11.96	11.96	11.96

Figure 5. Sample output - Lake Keowee, 1971



TEMPERATURE PROFILES FOR LAKE KEOWEE 1971.
 (DEPTH IS MEASURED FROM THE DEEPEST POINT OF THE LAKE)
 (STATIONS 500-506)

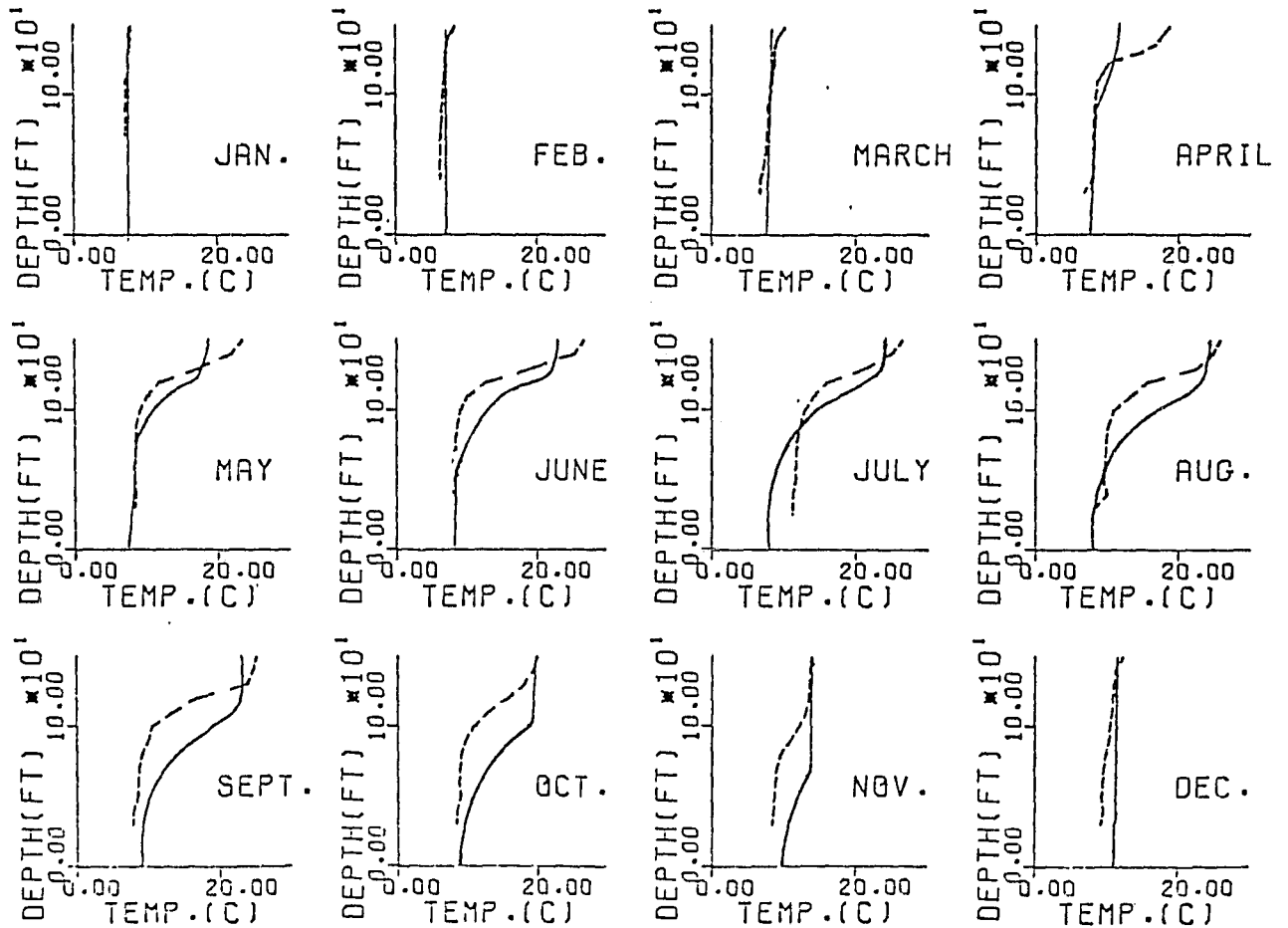


Figure 6. Sample plots - measured average temperature profiles (Stations 500-506) vs predicted temperature profiles, Lake Keowee, 1971

STRATIFICATION CYCLE FOR LAKE KEDWEE 1971-1979

Solid Lines (No Discharge)
 Broken Lines (Discharge - Mid-layer Temperatures)

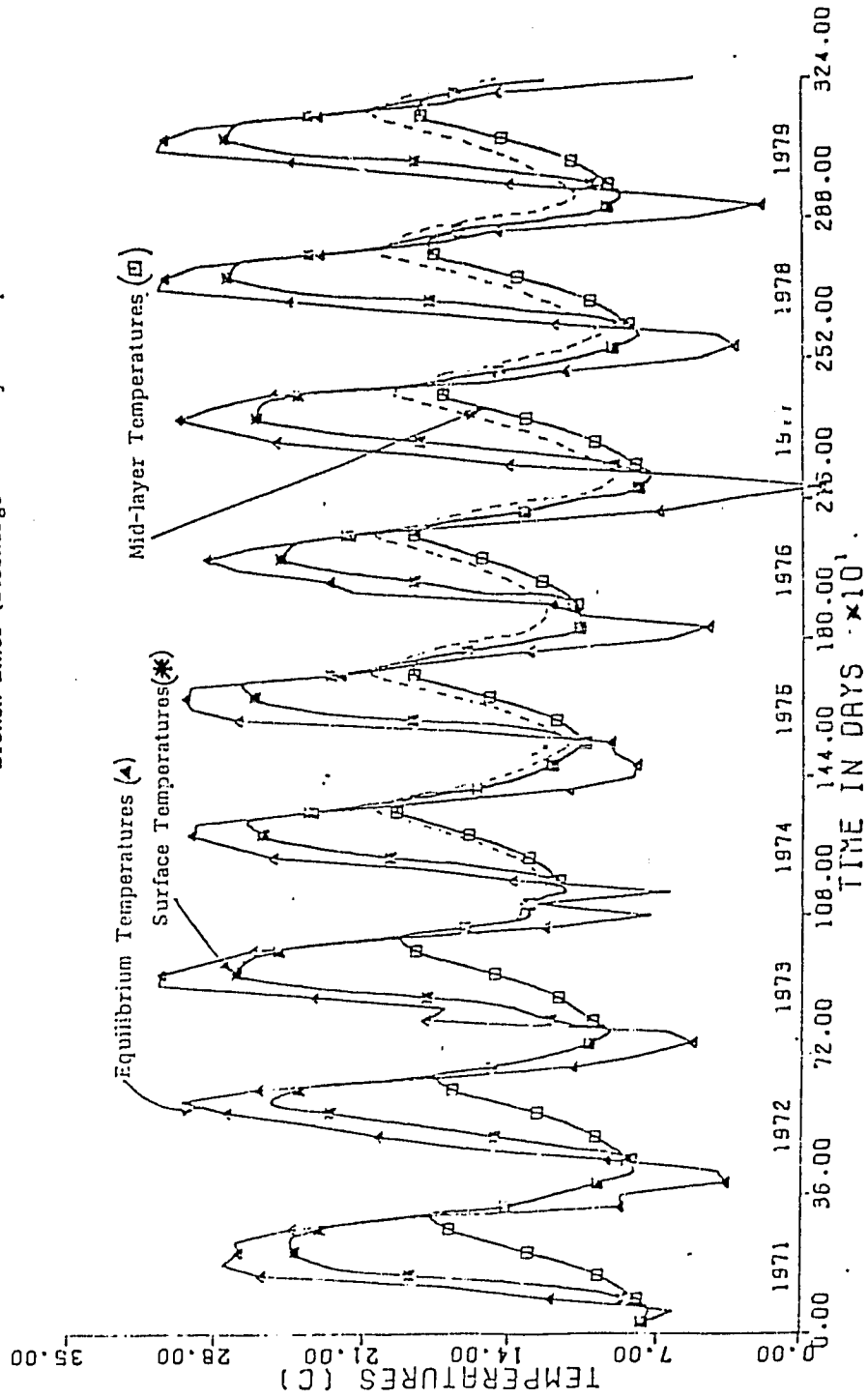


Figure 7. Sample plot

APPENDIX B
FORTRAN PROGRAM LISTING

```

1  NASA SYM CREATED ON 12 AUG 80 AT 14:17:05
2  C ONE DIMENSIONAL MODEL FOR THE SEASONAL THERMOCLINE
3  C
4  C
5  DIMENSION T(20), AV(20), CB(20), Z(20), A(20), XKZ(20), ROW(20), TN(20)
6  DIMENSION UM(20), T2(20), XTDD(10,360)
7  DIMENSION LELTEM(12), QP(12)
8  CHARACTER*6 MONTHS(12)
9  C
10 DATA(MONTHS(J), J=1,12) / 'JAN.', 'FEB.', 'MARCH', 'APRIL', 'MAY', 'JUNE',
11 'JULY', 'AUG.', 'SEPT.', 'OCT.', 'NOV.', 'DEC.' /
12 C
13 C
14 IF YGJ NEED TO STORE RESULTS ON MAGNETIC TAPE READ JRJN=1
15 OTHERWISE JRUN=2.
16 C
17 C
18 C
19 C
20 C

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21 READ 1, JRUN
22 READ 1, IYEAR, DZ, XKZL, H, G
23 READ 1, PI, A1, A2, A3, A4
24 READ 1, A5, A6, T0, CP, SIGMA
25 READ 1, R6, R7, R8, R9, R10
26 FORMAT()
27 MMJEG
28 Z(1)=0.
29 JIM=1
30 TDD=0.
31 DVE=C.
32 CALL AREAS(A)
33 J=1
34 JW=1
35 NDAYS=5
36 TIME1=0
37 TIME2=0
38 TIME3=0
39 TIME4=0
40 TE=10
41 DO 20 I=1,12
42 T(I)=T0
43 T2(I)=T0
44 CONTINUE
45 DO 22 I=2,11
46 Z(I)=DZ/2.+(I-2)*DZ

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20

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46 CONTINUE
47 Z(I12)=H*4*DZ**2)/1000.0U
48 QP2=574.07383*(60.**2)*24.
49 CALL YEARS(SELTEM,WQPP,IYEAR)
50 CALL CCW(GP,DELTEM,IYEAR,DT)
51 N=0
52 OMEGA=2.*PI/360.
53 T(I12)=T0
54 T12=T0
55 JTOT=1
56
57 ROW(I12)=(A4+A5*T(I12)+A6*(T(I12)**2)*62.4
58 ROWCP=ROW(I12)*CP
59 CALL EQUIL(IN,TE,AK,TDE*,IND,HSOL)
60 IF(MJ.EQ.1)DELTIM2=LX(M1)-T(7)
61 FRVEL=(R6+K7*SIN(OMEGA*TIME+R8))**2
62 XKZO=(R9+R10*SIN(OMEGA*TIME+R9))
63 AV(I)=A1+A2*(T(I)-4.)+A3*(T(I)-4.)**2
64 XKZ(I)=XKZO*(1+SIGMA*AV(I))*G*((H-2(I))**2)*
65 1(3.*T(I)+T(3)-4.*T(2))/(2.*DZ*FRVEL)**(N-1)
66 DJ 50 I=2,11
67 AV(I)=A1+A2*(T(I)-4.)+A3*(T(I)-4.)**2
68 XKZ(I)=XKZO*(1+SIGMA*AV(I))*G*((H-2(I))**2)*
69 1(T(I+1)-T(I-1))/(DZ*FRVEL)**(N-1)
70 ROW(I)=(A4+A5*T(I)+A6*(T(I)**2)*62.4
71 CONTINUE
72 ROW(I12)=(A4+A5*T(I12)+A6*(T(I12)**2)*62.4
73 AV(I12)=A1+A2*(T(I12)-4.)+A3*(T(I12)-4.)**2
74 XKZ(I12)=XKZO*(1+SIGMA*AV(I12))*G*((H-2(I12))**2)*
75 1(3.*T(I1)+T(3)-4.*T(2))/(1.5*DZ*FRVEL)**(N-1)
76 ROWCP=ROW(I12)*CP
77 CALL SMOOTH(XKZ,XKZU,XKZL,NDAY S1,T1,I12,T,DT1,DZ)
78
79 DO 989 I=1,12
80 IF(XKZ(I).LT.XKZL)XKZ(I)=XKZL
81 IF(XKZ(I).GT.XKZO)XKZ(I)=XKZO
82 CONTINUE
83 DO 91 I=2,11
84 F1=DT/(ROW(I)*CP*A(I))
85 F2=(ROW(I)+RO*(I+1))/2.*(A(I)+A(I+1))/2.
86 1*(XKZ(I)+XKZ(I+1))/2.*(T(I+1)-T(I))-((ROW(I)
87 2+ROW(I-1))*A(I)+A(I+1))/4.*(XKZ(I)
88 3+XKZ(I-1))/2.*(T(I)-T(I-1)))/(DZ**2)
89 IF(IYEAR.LE.1973)DELTIM2=L.0
90 IF(IYEAR.LE.1973)CP2=L.0
91 F3=ROW(I)*DELTEM(J)*CP*QP(JW)
92 F41=(ROW(I)*DELTIM2*CP*QP2/A(I))
93 F4=(ROW(I)*CP*QP2/(1.5*DZ))*DELTIM2*(T(I+1)-T(I-1))
94 IF(T(I+1).LE.T(I-1))F4=(ROW(I)*CP*QP(JW)/(1.5*DZ))*DELTEM(JW)
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96 IF (I(I+1).LE.I(I-1))F4I=(ROW(I)*CP*OP2/(1.5*DZ))*DELTM2
97 F5-I(I)
98 F6=0.5*(EXP(-U.75*(H-Z(I))))*(HSOL)
99 F7=-G.75*K(I)
100 F8=-F6*F7
101 TD=I(8)+DELTEM(JW)
102 IF (I.LI.8)XAK=0.
103 IF (I.LE.8)XAK=1.
104 IF (I(1).GT.TD)XM=U.
105 IF (I(1).LL.TD)XM=1.
106 TD2=DELTM2+I(5)
107 IF (I(1).GT.TD2)XM1=0.
108 IF (I(1).LE.TD2)XM1=1.
109 IF (I.LE.5)XTK=1.
110 IF (I.GT.5)ATK=1.
111 TN(I)=(F2+F3+XAK*XM*F4+XM1*F41+F31*XTk+F8)*F1+F5
112 CONTINUE
113 TN(1)=T(2)
114 TN=(TN(12)+TDEW)/2.0
115 F*=9.2+0.46*(WIND**2)
116 BETA=0.35+U.015*TM+0.0012*(TM**2)
117 XK=(4.5+0.05*TN(12))+BETA*F**+C.47*F**)*4.232*(5./5.)
118 TE=TDEW+HSOL/XK
119 CONST=(1.5*XK*DZ)/(ROW*CP*XKZ(12))
120 TE11=TN(11)
121 TE10=TN(10)
122 SHEAT=(ROW*CP*DELTEM(JW)*JP(JW))/(A(12)*XK)
123 IF (TD.GT.TN(12))GO TO 14
124 GO TO 15
125 TN(12)=(4.*TN(11)-TN(10)+CONST*TE+SHEAT*CONST)/(3.+CONST)
126 GO TO 16
127 TN(12)=(4.*TN(11)-TN(10)+CONST*TE)/(3.+CONST)
128 TS=TH(12)
129 CALL MIXIT(IN,A)
130 TIME=TIME+DT
131 TIME2=TIME2+DT
132 TIME3=TIME3+DT
133 TIME4=TIME4+DT
134 TIME5=TIME5+DT
135 DO 929 I=1,12
136 T2(I)=TN(I)
137 CONTINUE
138 T12=I(12)
139 T12=TN(12)
140 DO 92 I=1,12
141 T(I)=TN(I)
142 CONTINUE
143 J=J+1
144 TIME1=TIME1+DT
145 IF (N.DAYS.GE.360) TIME3=TIME3-360.0

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146 IF (NDAYS.GE.360)TIME2=TIME2-360.U
147 IF (NDAYS.GE.360)TIME=TIME-360.O
148 IF (NDAYS.GE.360)TIME4=TIME4-360.C
149 IF (NDAYS.GE.360)TIME5=TIME5-360.O
150 IF (NDAYS.GE.360)JJ=0
151 IF (NDAYS.GE.360)JM=1
152 IF (IYEAR.GT.1979)GO TO 99
153 IF (NDAYS.GE.360)IYEAR=IYEAR+1
154 IF (NDAYS.GE.360)CALL CCM(WP,DELTEM,IYEAR,DT)
155 IF (NDAYS.GE.360)CALL YEARS(SELTEM,QOPP,IYEAR)
156 IF (NDAYS.GE.360)JTOT=JTOT+1
157 IF (NDAYS.GE.360)JIM=JIM+1
158 IF (TIME4.GE.1.0)GC TO 501
159 GO TO 502
160 MMI=MMI+1
161 XTDD(JIM,MMI)=TD
162 TIME4=TIME4-1.
163 CONTINUE
164 IF (NDAYS.GE.360)NDAYS=0
165 DO 66 I=2,10
166 CB(I)=(T(I+1)-T(I))/15.
167 CONTINUE
168 CB(1)=(T(2)-T(1))/7.5
169 CB(11)=(T(12)-T(11))/7.5
170 IF (TIME1.GE.30.) GO TO 98
171 TDU=TDG+TD
172 DVE=DVE+1.
173 GO TO 33
174 NDAYS=TIME2
175 TED=TDU/DVE
176 PRINT 988,(CP(JWJ),JWJ=1,12)
177 FORMAT(IX,12F10.1)
178 TIME4=0.
179 MMI=C
180 JJ=JJ+1
181 JW=JW+1
182 NDAYS1=TIME3
183 MJ=MJ+1
184 DELTM2=DM(MJ)-T(5)
185 IF (MJ.GE.12)MJ=1
186 CONTINUE
187 DO 700 I=1,12
188 T(I)=TN(I)
189 IF (JRUN.EQ.2) GO TO 111
190 CALL STORE(T,AV,CB,Z,A,XKZ,ROW,TN,DM,TZ,MONTHS,TZ,GP,
191 CCP,SIGMA,R3,R4,R5,K6,R7,R8,R9,R10,WP2,FREVEL,ROWCP,CT,
192 CXK40,TE,NDAYS,INI2,II2,F1,F2,F3,F4,F5,F6,F7,F8,TD,TD2,
193 CNDAYS1,TIME,TIME2,TIME3,IYEAR,MJ,XK,TDG,J)

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194 CONTINUE
195 CALL EQUIL1(TN,TE,XK,TDEW,WIND,HSOL)
196 PRINT 920,MONTHS(JJ),IYEAR
197 FORMAT(2X,MONTH IS',2X,A6,2X,I4)
198 PRINT 101,NDAYS,TE,XK
199 FORMAT(1X,16,2F9.2)
200 WRITE(6,9) NDAYS,(T(I),I=1,12)
201 WRITE(6,7) XK20,(XK2(I),I=1,12)
202 IF((IYEAR.EQ.1973.AND.NDAYS.GE.210).OR.(IYEAR.GT.1973))
203 CWRITE(6,18)TDD,DELIEM(JW-1)
204 FORMAT(1X,THE AVERAGE MONTHLY DISCH. TEMP. = ',F5.2,5X,
205 C'DELTA-T = ',F5.2)
206 FORMAT(1X,11F10.2)
207 FORMAT(1X,16,12F9.2)
208 FORMAT(1X,13F9.2)
209 TIMEI=TIMEI-30.0
210 TDE=0.
211 DVE=0.
212 IF(IYEAR.GT.1979)GO TO 99
213 GO TO 33
214 PRINT 921,J
215 FORMAT(2X, TOTAL NUMBER OF COMPUTATIONS =',I15,' X 12')
216 END FILE 8
217 STOP
218 END

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APEAS SYM CREATED ON 12 AUG 80 AT 13:05:27
C THIS SUBROUTINE CONTAINS THE AREAS OF
C A DOMAIN (LAKE KECWEE), AT TWELVE
C HORIZONTAL CROSS-SECTIONS.
C
SUBROUTINE AREAS(A)
DIMENSION A(20)
ACONS=10.**8
A(1)=0.0325*ACONS
A(2)=0.055*ACONS
A(3)=0.200*ACONS
A(4)=0.550*ACONS
A(5)=1.125*ACONS
A(6)=1.8*ACONS
A(7)=2.575*ACONS
A(8)=3.55*ACONS
A(9)=4.70*ACONS
A(10)=5.825*ACONS
A(11)=7.25*ACONS
A(12)=8.008*ACONS
RETURN
END

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CCW SYM CREATED ON 12 AUG 80 AT 13:00:09
C   THIS SUBROUTINE CONTAINS THE CONDENSER
C   COOLING WATER. ASSUMES THAT COMPUTATIONS
C   START IN 1971.

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C   SUBROUTINE CCW(QP,DELTEM,IYEAR,DT)
C   DIMENSION QP(12),DELTEM(12)
C   IF (IYEAR.GT.1979)GO TO 11
C   IYEA=IYEAR-1970
C   ACOST=10.0
C   GO TO (1,1,3,4,5,6,7,8,9),IYEA
1   DO 10 I=1,12
C   QP(I)=0.0
10  DELTEM(I)=0.0
C   GO TO 11
3   DO 12 I=1,6
C   QP(I)=0.0
12  DELTEM(I)=0.0
C   QP(7)=1890.2*ACOST
C   QP(8)=1910.3*ACOST
C   QP(9)=2170.7*ACOST
C   QP(10)=2232.5*ACOST
C   QP(11)=2170.7*ACOST
C   QP(12)=3284.6*ACOST
C   DELTEM(7)=5.3
C   DELTEM(8)=4.6
C   DELTEM(9)=5.3
C   DELTEM(10)=7.3
C   DELTEM(11)=7.7
C   DELTEM(12)=4.1
C   GO TO 11
4   QP(1)=3069.3*ACOST
C   QP(2)=3069.4*ACOST
C   QP(3)=2976.9*ACOST
C   QP(4)=2807.3*ACOST
C   QP(5)=2164.6*ACOST
C   QP(6)=4171.8*ACOST
C   QP(7)=5334.6*ACOST
C   QP(8)=4727.1*ACOST
C   QP(9)=5961.4*ACOST
C   QP(10)=4953.4*ACOST
C   QP(11)=4202.1*ACOST
C   QP(12)=5225.6*ACOST
C   DELTEM(1)=4.2
C   DELTEM(2)=7.4
C   DELTEM(3)=8.4
C   DELTEM(4)=8.0
C   DELTEM(5)=2.7
C   DELTEM(6)=6.0
C   DELTEM(7)=5.0
C   DELTEM(8)=4.8
C   DELTEM(9)=5.8
C   DELTEM(10)=3.5
C   DELTEM(11)=7.9
C   DELTEM(12)=5.9
C   GO TO 11
5   QP(1)=4612.4*ACOST
C   QP(2)=3694.9*ACOST
C   QP(3)=5456.8*ACOST
C   QP(4)=5570.8*ACOST
C   QP(5)=6494.3*ACOST
C   QP(6)=6574.2*ACOST
C   QP(7)=7104.2*ACOST
C   QP(8)=7510.1*ACOST
C   QP(9)=7201.6*ACOST
C   QP(10)=6993.4*ACOST

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68		QP (11) = 7467.1 * ACOST
69		QP (12) = 6850.9 * ACOST
70		DELTEM (1) = 6.3
71		DELTEM (2) = 4.8
72		DELTEM (3) = 6.2
73		DELTEM (4) = 6.3
74		DELTEM (5) = 6.8
75		DELTEM (6) = 6.8
76		DELTEM (7) = 6.3
77		DELTEM (8) = 7.8
78		DELTEM (9) = 7.4
79		DELTEM (10) = 7.7
80		DELTEM (11) = 8.5
81		DELTEM (12) = 9.4
82		GO TO 11
83	6	QP (1) = 6069.3 * ACOST
84		QP (2) = 4440.2 * ACOST
85		QP (3) = 4874.3 * ACOST
86		QP (4) = 4272.1 * ACOST
87		QP (5) = 3970.7 * ACOST
88		QP (6) = 5197.6 * ACOST
89		QP (7) = 5830.0 * ACOST
90		QP (8) = 7248.3 * ACOST
91		QP (9) = 6785.4 * ACOST
92		QP (10) = 5637.8 * ACOST
93		QP (11) = 5809.2 * ACOST
94		QP (12) = 4914.8 * ACOST
95		DELTEM (1) = 10.6
96		DELTEM (2) = 7.3
97		DELTEM (3) = 7.1
98		DELTEM (4) = 5.1
99		DELTEM (5) = 5.8
100		DELTEM (6) = 9.3
101		DELTEM (7) = 7.4
102		DELTEM (8) = 6.5
103		DELTEM (9) = 8.0
104		DELTEM (10) = 7.8
105		DELTEM (11) = 6.7
106		DELTEM (12) = 8.4
107		GO TO 11
108	7	QP (1) = 5045.8 * ACOST
109		QP (2) = 4985.2 * ACOST
110		QP (3) = 5113.5 * ACOST
111		QP (4) = 6013.6 * ACOST
112		QP (5) = 6302.4 * ACOST
113		QP (6) = 4385.3 * ACOST
114		QP (7) = 5038.6 * ACOST
115		QP (8) = 5708.9 * ACOST
116		QP (9) = 6964.0 * ACOST
117		QP (10) = 6754.7 * ACOST
118		QP (11) = 4697.6 * ACOST
119		QP (12) = 5854.6 * ACOST
120		DELTEM (1) = 12.5
121		DELTEM (2) = 11.4
122		DELTEM (3) = 10.4
123		DELTEM (4) = 11.4
124		DELTEM (5) = 9.4
125		DELTEM (6) = 8.4
126		DELTEM (7) = 7.4
127		DELTEM (8) = 5.0
128		DELTEM (9) = 5.0
129		DELTEM (10) = 3.8
130		DELTEM (11) = 6.2
131		DELTEM (12) = 7.9
132		GO TO 11
133	c	QP (1) = 6176.7 * ACOST
134		QP (2) = 6444.6 * ACOST
135		QP (3) = 5195.7 * ACOST
136		QP (4) = 4811.8 * ACOST
137		QP (5) = 4984.2 * ACOST
138		QP (6) = 5659.9 * ACOST
139		QP (7) = 7058.8 * ACOST

140		QP (8)=7914.9*ACOST
141		QP (9)=6557.3*ACOST
142		QP (10)=7407.4*ACOST
143		QP (11)=6065.1*ACOST
144		QP (12)=6503.5*ACOST
145		DELTEM (1)=9.0
146		DELTEM (2)=11.0
147		DELTEM (3)=13.2
148		DELTEM (4)=9.7
149		DELTEM (5)=10.1
150		DELTEM (6)=6.1
151		DELTEM (7)=7.9
152		DELTEM (8)=7.5
153		DELTEM (9)=7.6
154		DELTEM (10)=6.2
155		DELTEM (11)=8.4
156		DELTEM (12)=7.2
157		GO TO 11
158	9	QP (1)=7207.7*ACOST
159		QP (2)=7319.9*ACOST
160		QP (3)=7419.5*ACOST
161		QP (4)=7275.8*ACOST
162		QP (5)=4189.1*ACOST
163		QP (6)=5381.2*ACOST
164		QP (7)=4733.3*ACOST
165		QP (8)=4733.3*ACOST
166		QP (9)=4733.3*ACOST
167		QP (10)=4733.3*ACOST
168		QP (11)=4733.3*ACOST
169		QP (12)=4733.3*ACOST
170		DELTEM (1)=10.3
171		DELTEM (2)=10.4
172		DELTEM (3)=9.6
173		DELTEM (4)=9.9
174		DELTEM (5)=6.2
175		DELTEM (6)=7.1
176		DELTEM (7)=5.0
177		DELTEM (8)=5.0
178		DELTEM (9)=5.0
179		DELTEM (10)=5.0
180		DELTEM (11)=5.0
181		DELTEM (12)=5.0
182	11	RETURN
183		END

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EQJILL SYM CREATED ON 11 JUN 80 AT 11:00:00
SUBROUTINE EQUILL(TN,TE,XK,IDEW,XTN,XTE,XXK,WIND,HSOL)
DIMENSION TN(20),XTN(20)
READ(5,1)TDEW,WIND,HSOL
FORMAT(1)
WIND=WIND*J.45
HSOL=HSOL*3.6855
TM=(TN(12)+TDEW)/2.0
FW=9.2+0.46*(WIND**2)
BETA=0.35+0.015*TM+0.0012*(TM**2)
XK=4.5+0.05*TN(12)+BETA*FW+0.47*FW
XTE=TDEW+HSOL/XK
XTM=(XTN(12)+TDEW)/2.0
XFW=9.2+0.46*(WIND**2)
XBETA=0.35+0.015*XTM+0.0012*(XTM**2)
XXXK=4.5+0.05*XTN(12)+XBETA*XFW+0.47*XFW
XXTE=XXXK*4.232*19./5.)
XTE=TDEW+HSOL/XXXK
RETURN
END

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INPJTSYM CREATED ON 12 AJG 80 AT 13:01:13

1	3.0	6.69	167.0
2	0.	9.3	264.4
3	6.3	9.28	264.4
4	7.5	8.72	457.5
5	17.2	7.5	480.5
6	18.8	5.65	478.
7	20.	6.48	409.
8	19.44	5.75	428.2
9	18.33	5.77	329.
10	13.88	7.02	261.3
11	2.88	7.53	247.7
12	5.5	8.3	147.7
13	1.67	6.69	178.
14	-2.22	9.26	257.6
15	1.11	9.23	352.5
16	6.67	8.72	448.
17	11.11	7.53	433.6
18	13.13	7.95	564.3
19	18.77	6.64	493.8
20	22.22	6.07	453.5
21	18.8	5.47	386.3
22	11.5	7.17	298.1
23	5.9	7.13	220.9
24	4.	6.6	148.
25	1.	7.22	162.7
26	-1.	7.3	279.5
27	10.	7.1	348.5
28	7.7	8.44	449.3
29	14.3	6.83	449.5
30	20.25	3.04	507.7
31	22.2	5.32	496.9
32	21.7	5.1	391.6
33	20.8	6.80	338.4
34	13.5	7.1	341.7
35	7.2	8.14	247.6
36	3.2	5.6	154.
37	8.2	5.8	191.4
38	0.	5.8	226.9
39	6.3	7.7	326.1
40	10.7	8.73	397.7
41	17.2	6.8	436.
42	17.8	6.98	559.3
43	21.	5.2	459.5
44	21.	5.87	480.
45	17.5	6.74	339.2
46	10.2	5.7	302.5
47	6.0	7.2	231.1
48	3.8	6.9	181.9
49	3.0	6.39	191.4
50	3.5	7.614	226.9
51	2.2	9.6	326.1
52	7.2	7.6	397.7
53	17.5	4.8	436.
54	19.0	5.82	559.3
55	21.3	5.10	459.5
56	21.0	5.4	480.8
57	16.2	7.3	339.3
58	12.4	7.7	302.5
59	7.9	6.9	231.1
60	2.0	7.2	181.9
61	-1.0	7.4	209.8
62	3.2	8.5	310.9
63	3.9	7.9	338.6
64	11.2	7.6	496.9
65	14.0	7.3	448.4
66	18.3	6.4	480.2
67	19.8	5.9	488.3
68	18.0	6.65	480.4
69	15.4	7.13	345.1

70	8.2, 7.21, 287.5
71	1.0, 7.27, 237.5
72	-1.5, 8.2, 195.0
73	-6.6, 8.04, 205.5
74	-2.78, 8.4, 317.6
75	6.0, 7.7, 328.5
76	10.2, 7.6, 427.3
77	15.4, 6.2, 473.
78	18., 6.7, 543.3
79	20.2, 5.8, 551.8
80	20.7, 5.4, 423.9
81	18.7, 5.3, 350.7
82	9.2, 7.2, 286.6
83	7.0, 7.5, 196.2
84	0.4, 7.2, 178.2
85	-2.8, 7.9, 227.
86	-5.0, 6.8, 308.
87	1.2, 7.6, 408.
88	9.6, 7.6, 429.
89	14., 6.7, 513.
90	19.4, 4.7, 598.
91	20.8, 5.7, 568.
92	20.8, 5.1, 461.
93	15.5, 5.7, 385.
94	9.3, 6.6, 369.
95	9.0, 5.8, 232.
96	0.4, 7.3, 191.
97	-3.33, 8.6, 208.
98	0.0, 7.2, 251.
99	5.0, 7.9, 373.
100	9.2, 7.6, 479.
101	14., 6.7, 513.
102	19.4, 4.7, 598.
103	20.8, 5.7, 568.
104	20.8, 5.1, 461.
105	15.5, 5.7, 387.
106	9.3, 6.6, 369.
107	9.0, 5.8, 232.
108	0.4, 7.3, 191.
109	0.4, 7.3, 191.

MIXIT SYN CREATED ON 12 AUG 80 AT 13:26:57

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1 C
2 C
3 C THIS SUBROUTINE MIXES STABILIZES UNSTABLE
4 C TEMPERATURE PROFILES.
5 C
6 C
7 SUBROUTINE MIXIT(TN,A)
8 DIMENSION TN(20),A(20)
9 DO 10 I=1,11
10 IF (TN(I+1).GE.TN(I))GO TO 1
11 IF ((TN(I)-TN(I+1)).LT.0.0)GO TO 1
12 TAV=(TN(I+1)+TN(I))/2.
13 TN(I+1)=TAV
14 TN(I)=TAV
15 CONTINUE
16 CONTINUE
17 TMAX=AMAX1(TN(1),TN(2),TN(3),TN(4),TN(5)
18 C,TN(6),TN(7),TN(8),TN
19 C(9),TN(10),TN(11),TN(12))
20 IF (TN(12).LT.TMAX)GO TO 100
21 RETJRN
22 END

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1 PLOTTER SYM CREATED ON 12 AJG 80 AT 12:56:46
2 PARAMETER N=14, NN=12, NTIME=12, ND=110
3 DIMENSION IBUF(1000)
4 DIMENSION TEMP(50), DEEP(50), TEMPS(ND), DEEPS(ND), QP (NN), TZ (NN)
5 DIMENSION T(N), AV(N), CB(N), Z(N), XKZ(N), TEQ(ND), THF (ND), TSU(ND)
6 DIMENSION ROW(N), TN(N), DM(N), T2(N), A(N), ZED(ND)
7 DIMENSION E1(50), E2(50), E3(50), E4(50), E6(50), E5(50),
8 CE7(50), ED(50)
9 CHARACTER*6 MONTHS (N)
10 CHARACTER*6 IBCD
11 M=1
12 L=0
13
14 C READ JRUN=1 IF YOU DESIRE PLOTS FOR MEASURED DATA
15 C READ JRUN=2 IF YOU DO NOT
16 C NOTE : IF PLOTS FOR SEVEN STATIONS ARE NOT
17 C AV AVAILABLE, LINES 35 TO 46 MUST BE MODIFIED
18 C READ 100, JRUN, JYEAR
19 FORMAT(1)
20 ICOUNT=0
21 XZD=0.
22 JO=0
23 CALL PLOTS (IBUF, 1000, 11)
24 CALL PLOT(0.0, 7.0, -3)
25 DO 1 I=1, NTIME
26 CALL READER(T, AV, CB, Z, A, XKZ, ROW, TN, DM, TZ, MONTHS, T2, QP,
27 CCF, SIGMA, R3, R4, R5, R6, R7, R8, R9, R10, QP2, FREVEL, ROWCP, DT,
28 CXKZ0, TE, NDAYS, TIME1, TIME2, TIME3, IYEAR, MJ, XK, TODD, J)
29 CNDAYS1, TIME1, TIME2, TIME3, IYEAR, MJ, XK, TODD, J)
30 ICOUNT=ICOUNT+1
31 IF (ICOUNT.GT.96) GO TO 333
32 IF (JKJN.EQ.2) GO TO 200
33 READ(5, 8) (DEEP(I), TEMP(I), INK=1, NSTOP)
34 DO 15 KL=1, 50
35 READ(5, 8) JEEP(KL), E1(KL), E2(KL), E3(KL), E4(KL), E5(KL),
36 CE7(KL), E7(KL)
37 READ(5, 6) AE1, BE1, CE1, DE1, EE1, FE1, GE1, HE1, OE1
38 DEEP(KL)=AE1
39 E1(KL)=BE1
40 E2(KL)=CE1
41 E3(KL)=DE1
42 E4(KL)=EE1
43 E5(KL)=FE1
44 E6(KL)=GE1
45 E7(KL)=HE1

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46 ED(KL)=OE1
47 IF(E3(KL).EQ.0.0)GO TO 16
48 IF(DEEP(KL).EQ.(-1.))GO TO 16
49 TEMP(KL)=(E1(KL)+E2(KL)+E3(KL)+E4(KL)+E5(KL)+E6(KL))+
50 CE7(KL))/ED(KL)
51 TEMP(KL)=E3(KL)
52 CONTINUE
53 CONTINUE
54 NSTOP=KL-1
55 IF(JRUN.EQ.2)GO TO 201
56 DO 222 JIJ=1,50
57 IF(DEEP(KL).EQ.(-1.))GO TO 223
58 READ(5,8)AE1,BE1,CE1,DE1,EE1,FE1,GE1,HE1,OE1
59 IF(AE1.EQ.(-1))GO TO 223
60 CONTINUE
61 CONTINUE
62 CONTINUE
63 CONS2=1./D.3048
64 IF(JRUN.EQ.2)GO TO 202
65 DO 9 INK=1,NSTOP
66 DEEP(INK)=CONS2*DEEP(INK)
67 DEEP(NSTOP+1)=0.0
68 DEEP(NSTOP+2)=Z(NN)/1.5
69 TEMP(NSTOP+1)=0.0
70 TEMP(NSTOP+2)=30.0/1.5
71 CONTINUE
72 FORMAT(
73 J0=J0+1
74 L=L+1
75 TSJ(L)=T(12)
76 XZD=XZD+30.
77 ZED(L)=XZD
78 TEMPS(L)=TEMP(1)
79 IEQ(L)=TE
80 THE(L)=(T(7)+T(8))/2.
81 IBCD=MGNTHS(J0)
82 Z(NN+1)=0.0
83 Z(NN+2)=Z(NN)/1.5
84 T(NN+1)=0.0
85 T(NN+2)=30./1.5
86 CALL AXIS(0.0,0.0,8*TEMP.(C),-8,1.5,0.0,T(13),T(14))
87 CALL AXIS(0.0,0.0,9*DEPTH(FI),9,1.5,90.0,Z(13),Z(14))
88 CALL FLINE(1,2,-NN,1,0,0)
89 IF(I COUNT.GT.9)GO TO 444
90 IF(JRUN.EQ.2)GO TO 203
91 CALL DASHL(TEMP,DELP,NSTOP,1)
92 CONTINUE
93 CALL SYMBOL(1.0,0.5,0.14,IBCD,0.0,6)
94 CALL PLOT(2.25,0.0,-3)
95

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56 IF (J0.EQ.4.0R.J0.E4.8)60 TO 3
57 GO TO 1
58 CALL PLOT(-9.0,-2.25,-3)
59 CONTINUE
100 CALL PLOT(-2.25,0.0,-3)
101 CALL SYMBOL(-6.75,6.75,.14,4)HTEMPORALRE PROFILES FOR LAKE KEOWEE
102      ,0.0,41)
103 C P1-JYEAR
104 MY=JYEAR
105 CALL NUMBER(999.,999.,0.14,P1,0.0,0)
106 CALL SYMBOL(-6.75,6.5,0.1,54H(DEPTH IS MEASURED FROM THE DEEPEST P
107 COINT OF THE LAKE),0.0,54)
108 CALL PLOT(6.0,-9.25,-3)
109 PRINT 2,MY
110 FORMAT(1X,'THE PLOTS FOR',15,' ARE COMPLETE')
111 IF (M.EQ.9)60 TO 6
112 M=M+1
113 JYEAR=JYEAR+1
114 GO TO 5
115 CALL PLOT(6.0,0.0,-3)
116 DO 13 I=1,96
117 DEEPS(I)=ZED(I)
118 DEEPS(97)=0.0
119 DEEPS(98)=3240.0/9.0
120 TSU(109)=0.0
121 TSU(110)=35./5.
122 TEQ(109)=0.0
123 TEQ(110)=35./5.
124 THF(109)=0.0
125 THF(110)=35./5.
126 TEMPS(97)=0.0
127 TEMPS(98)=35./5.
128 ZED(109)=0.0
129 ZED(110)=3240./9.
130 CALL PLOT(0.0,2.0,-3)
131 CALL AXIS(0.0,0.0,12)HTIME IN DAYS,-12,9.0,0.0,ZED(109),ZED(110))
132 CALL AXIS(0.0,0.0,16)HTEMPORALRE PROFILES (C),16,5.0,90.,TSU(109),TSU
133 C(110))
134 CALL FLINE(ZED,TSJ,-108,1,2,11)
135 CALL FLINE(ZED,TEQ,108,1,2,2)
136 CALL FLINE(ZED,THF,-108,1,2,0)
137 IF (JRUN.EQ.2)60 TO 204
138 CALL DASHL(DEEPS,TEMPS,96,1)
139 CONTINUE

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CHANGE TITLES TO SUIT NEEDS (4 LINES)

CALL SYMBOL(0.0,6.0,0.14, FOR LAKE KEOWEE 1971-1979,0.0,46)
C46STRATIFICATION CYCLE 1971 1972 1973 1974
CALL SYMBOL(0.0,0.10,0.10,87H 1971 1972 1973 1974
C 1975 1976 1977 1978 1979,0.0,87)
WRITE(6,7)
FORMAT(IX,'ALL PLOTS ARE NOW COMPLETE',//,' NORMAL JOB EXIT')
CALL PLOT(15.0,0.0,-3)
STOP
END

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READER SYM CREATED ON 12 AUG 80 AT 13:21:45

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THIS SUBROUTINE READS THE MAGNETIC TAPE
CONTAINING THE COMPUTED RESULTS.

SUBROUTINE PEADER(T,AV,CB,Z,A,XKZ,ROW,DM,TN,DM,TZ,MONTHS,T2,QP,
CCP,SIGMA,R3,R4,R5,R6,R7,R8,R9,R10,QP2,FREVEL,ROWCP,DI,
CXKZ0,TE,NDAYS,TN12,T12,F1,F2,F3,F41,F5,F6,F7,F8,YD,TD2,
CNDAYS1,TIME,TIME2,TIME3,IYEAR,MJ,XK,TDU,J,NCASE,SF,EDEPT,VOL)
DIMENSION T(20),AV(20),CB(20),Z(20),A(20),XKZ(20),
CROW(20),TN(20),DM(20),TZ(20),T2(20),QP(12)
CHARACTER*6 MONTHS(12)
CONTINUE
READ(6,END=1) (T(IJ),IJ=1,12),(AV(IJ),IJ=1,12),
C(CB(IJ),IJ=1,12),(Z(IJ),IJ=1,12),(A(IJ),IJ=1,12),
C(CXKZ(IJ),IJ=1,12),(ROW(IJ),IJ=1,12),(TN(IJ),IJ=1,12),
C(DM(IJ),IJ=1,12),(TZ(IJ),IJ=1,12),(MONTHS(IJ),IJ=1,12),
C(T2(IJ),IJ=1,12),
C(QP(IJ),IJ=1,12),
CCP,SIGMA,R3,R4,R5,R6,R7,R8,R9,R10,QP2,FREVEL,ROWCP,DI,
CXKZ0,TE,NDAYS,TN12,T12,F1,F2,F3,F41,F5,F6,F7,F8,YD,TD2,
CNDAYS1,TIME,TIME2,TIME3,IYEAR,MJ,XK,TDU,J,NCASE,SF,EDEPT,VOL
RETURN
END

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SMOOTH SYM CREATED ON 12 AUG 80 AT 14:34:30
C
C THIS SUBROUTINE CORRECTS THE EDDY DIFFUSIVITY
C IF VARIABLE TIME STEP IS REQUIRED, DT1 SHOULD
C BE CHANGED TO DT IN THE CALLING PROGRAM.
C
SUBROUTINE SMOOTH(XKZ,XKZU,XKZL,NDAYS1,TN12,T12,T,DT1,DT2)
DIMENSION XKZ(20),T(20)
DO 93 I=1,12
IF (XKZ(I).GT.XKZU) XKZ(I)=XKZU
IF (XKZ(I).LT.XKZL) XKZ(I)=XKZL
CONTINUE
NEW=0
DO 96 I=2,12
IF (XKZ(I).EQ.XKZL) NEW=I
CONTINUE
IF (NEW.EQ.0) GO TO 77
XKZ(I)=XKZL
CONTINUE
CONTINUE
IF (NDAYS1.LE.60.OR.NDAYS1.GT.300) GO TO 29
IF (TN12.GE.T12) GO TO 19
IF (TN12.LT.T12) GO TO 39
XMIN=AMIN1(XKZ(1),XKZ(2),XKZ(3),XKZ(4),XKZ(5),XKZ(7),XKZ
1(8),XKZ(9),XKZ(10),XKZ(11),XKZ(12))
DO 82 I=1,12
IF (XKZ(I).EQ.XMIN) GO TO 81
CONTINUE
GO TO 29
IMIN=I
DO 70 I=1,IMIN
XKZ(I)=XKZ(IMIN)
CONTINUE
GO TO 29
XMAX=AMAX1(XKZ(1),XKZ(2),XKZ(3),XKZ(4),XKZ(5),XKZ(7),XKZ
1(8),XKZ(9),XKZ(10),XKZ(11),XKZ(12))
DO 62 I=1,12
IF (XKZ(I).EQ.XMAX) GO TO 61
CONTINUE
GO TO 29
IMAX=I
DO 50 I=IMAX,12
XKZ(I)=XKZ(IMAX)
CONTINUE
CONTINUE
XMAX=AMAX1(XKZ(1),XKZ(2),XKZ(3),XKZ(4),XKZ(5),XKZ(7),XKZ
1(8),XKZ(9),XKZ(10),XKZ(11),XKZ(12))
DT1=(0.4#DT**2)/XMAX
RETIJKN
END

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STORE SYM CREATED ON 12 AJG 80 AT 13:19:47
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THIS SUBROUTINE STORES THE COMPUTED RESULTS ON
 MAGNETIC TAPE.

SUBROUTINE STORE(T,AV,CB,Z,A,XKZ,R0W,TN,DM,TZ,MONTHS,T2,QP,
 CCP,SIGMA,R3,R4,R5,R6,R7,R8,R9,R10,QP2,FREVEL,ROWCP,DI,
 CXKZ0,TE,NDAYS,TN12,T12,F1,F2,F3,F4,F5,F6,F7,F8,TD,ID2,
 CNDAYS1,TIME,TIME2,ITYEAR,MJ,XK,TDU,J,NCASE,SF,EDEPT,VOL)
 DIMENSION T(20),AV(20),CB(20),Z(20),XKZ(20),
 CROW(20),TN(20),DM(20),TZ(20),T2(20),
 CQP(12)
 CHARACTER*6 MONTHS(12)
 WRITE(8) (T(IJ),IJ=1,12), (AV(IJ),IJ=1,12),
 C(CB(IJ),IJ=1,12), (Z(IJ),IJ=1,12), (TN(IJ),IJ=1,12),
 C(XKZ(IJ),IJ=1,12), (ROW(IJ),IJ=1,12), (TM(IJ),IJ=1,12),
 C(DM(IJ),IJ=1,12), (TZ(IJ),IJ=1,12), (MONTHS(IJ),IJ=1,12),
 C(T2(IJ),IJ=1,12),
 C(QP(IJ),IJ=1,12),
 CCP,SIGMA,R3,R4,R5,R6,R7,R8,R9,R10,QP2,FREVEL,ROWCP,DI,
 CXKZ0,TE,NDAYS,TN12,T12,F1,F2,F3,F4,F5,F6,F7,F8,TD,ID2,
 CNDAYS1,TIME,TIME2,ITYEAR,MJ,XK,TDU,J,NCASE,SF,EDEPT,VOL
 END FILE 8
 RETURN
 END

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YEARS SYM CREATED ON 12 AUG 80 AT 13:10:03

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THIS SUBROUTINE PRINTS THE YEAR TITLE.

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99 SUBROUTINE YEARS(SELTEM,QOPP,IYEAR)
    PRINT 99,IYEAR
    FORMAT(59X,17('*'),/,59X,'*',15X,'*',/,59X,
C '*',2X,'YEAR = ',I4,2X,'*',/,59X,'*',15X,'*'
C,/,59X,17('*'))
    RETURN
    END
```