## IIL 33923

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TECHNICAL NOTES
NATIONAL ADVISORY COMHITTEE FOR AERONAUTIOS.

No. 147.

SPEED MEASUREMENTS MADE BY DIVISION "A" OF THE AIRPLANE DIREGTORATE (FLUGZEUGMEISTEREI), SUBDIVISION FOR FLIGHT EXPERIMENTS. By V. Heidelberg and A. H8lzel. From Technische Berichte, Volume III, No. 5, (1918). July, 1923.

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SPEED MEASUREMENTS MADE BY DIVISION ${ }^{\circ} \mathrm{A}^{n}$ OF THE AIRPLANE DIRECTORATE (FLUGZEUGMEISTEREI), SUBDIVISION FOR FLIGHT EXPERIMENTS.* By $V$. Heidelberg and A. HÖlzel.

## Summary.

1. The various speeds of an airplane can only be measured in horizontal flight, since there are no means for measuring the angle of ascent or descent.
2. The measurements must be corrected for the density of the air. This is =obtained by simultaneous pressure and temperature measurements during flight.
3. Calculation from the mean yearly values in accordance with Everlingts suggestion (Technische Berichte, Vol. I, No.2) can only be considered an approximation, since the distribution of pressure and temperature in the individual strata at different attitudes undergoes such large variations that the yearly mean gives inaccurate values.
4. Thermographs of the present form are useless for temperature measurements in an airplame.
5. In altitude data, the following are to be distinguished: the height above the earth, the barometric altitude and the altitude corresponding to the yearly mean air density.
'rom Technische Berichte, Volume III, No. 5, pp. 174-179 (1918).
i. Variometers are not suited for the mechanical control of high altitude flight.

## Irrangement and Procedure followed in the Experiments.

Speed measurements were made on seven different airplanes at iltitudes of 2500 to 4000 meters ( 8200 to 13100 feet), using Jacoby's method (Technische Berichte, Volume II, No.I, p.99). with theodolites from two fixed points. The base was l. 4 kilometers (. 87 mile ) long. The effect of the wind was eliminated by a triangular flight; each side of the triangle requiring about two minutes flying time. The readings were taken about every 30 seconds or six times on each leg. The airplanes carried the required useful load for the flight.

The airplane speeds obtained were corrected for the density of the air. For the sake of clearness, the altitude figures corresponding to the yearly mean on the assumption of normal disiribution of pressure and temperature, are given in the tables and diagrams. The air densities were determined in each fiight from barograph curves regarded as pure pressure curves and from temperature readings on alchol thermometers. The readings of three thermometers agreed ciosely.

In the calculation of these air densities, it is apparent that computation from the yearly mean, according to Everling's method, is not reliable and can only be employed as an approximation, since the distribution of pressure and temperature in the individual strata is subject to considerable variations. This result was ex-
pected when Everling's method was adopted.
In temperature measurements it was found that alcohol thermometers lagged so much that readings during ordinary gliding flight were inaccurate, although, on the other hand, they registered quickly enough during climbing flight. In order to avoid errors due to lag of the thermometer, readjngs mere not taken until after the triangular flight. Comparison of the readings of thermometers and thermographs showed great inaccuracy in the latter, due to the great difficulty in preventing the oscillation and vibration of the airplane from being transmitted to the thermographs, the recorded curves being so thick that the mean value could not be obtained with certainty.

The measurements are recorded in Table $I$, three values being given for the altitudes:

1. The actual height above the ground as measured by the theodolites, i.e., the vertical projection.
2. The barometric altitude indicated by the barographs, which corresponds to a calculated air pressure for the yearly mean at all altitudes. A ground temperature of $10^{\circ} \mathrm{C}$ is assumed and a temperature decrease of $0.5^{\circ} \mathrm{C}$ per 100 meters. The barograph curves were compared with their calibration curves which were obtained by regularly changing the air pressure in a vacuum chamber.
3. From the curve of air density $p$ calculated from the temperature and pressure observations, an altitude curve is finally
obtained, which took in $\ddagger 0$ consideration the fall in preseure and temperature. In Figs. 1, 2 and 3, the barograph curve, the ordinates of which are originally arcs of circles, is shown by a dotted line. Beside these dotted curves, the mean yearly altituces, corresponding to the air densities are given.

In Figs* 4 to 8, the temperatures observed in the test filghts are plotted against the observed air pressures. The course of the temperature curve for Pfalz D III a and Junkers $\mathcal{C}$ I airplanes, is noteworthy. AIthough both flights lie within the ame pressure range, their difference is shown up to $8^{\circ} \mathrm{C}$. Tiith Halb CL IV, the temperature fails from +1 to $-4^{\circ} \mathrm{C}$ betreen 2.5 and 3 kilometers (8200 and 9800 feet) altitude. These examples show that all calculations which depend on the assumption of a temperature fall of $1^{9} \mathrm{C}$ per 200 meters ( 656 feet) can claim only approximate accuracy in any particular case.

Since the flight characteristics depend only on the air density. all comparative values are to be corrected accordingly. It follows that, in speed flights, neither the actual nor the barometric altitudes are alone involved and we must consequently employ for velocity measurements an air density indicator, which is used in speed flights in place of a barograph and renders superfluous all approximate calculations, of the inaccuracy of which, we hate been convinced for some time.

In Figs. 9 to ll, the climbing speed for the standard air deal sity is given, the curve being obtained by differentiating the baro-
graph curves. From these curves it is apparent as to hom efficiently an airplane is flown.

In Fig. 12, the horizontal speeds are shown for the standard air density. An example of the calculation of the mean of the three observed speeds of the triangular flight, diagrams of three flights made with Fokker D VII and Junkers G I airplanes are given in Figs. 13 to 18. For airplanes without strut wires and with thick wing sections, the speeds are greater. Moreover, the curves slope rather rapidly downard and within the given range, the speed decreases only slightly with the altitude. On the other hand, the curves for the airplanes with smaller horizontal speeds are flat, i.e., the speeds deorease rapidly with increasing altitude. Experiments, carried out with variometers during the speed measurements, show that they are useless in practical work. Sensitive variometers clearly indicate changes in the vertical speed, so that in changes due to elevator, the pointer shows vibrations ajout a mean position. Furthermore, the pilot would only attain mechanically controlled altitude flying, if he were compelled to keep the pointer of the variometer on that point of a predetermined. curve suitable for the airplane and corresponding to the determined altitude. This curve would have to be that of the climbing speed Which, for the actual atmospheric conditions could be maintained When the airplane is flown most efficiently, and would, therefore, have to be accurately determined previously and accompany the variometer for the airplane in question. A self-recording variqmeter would then, vithin the curve of climbing velocịties gịven by Fig.

19, give a record similar to that shom. In using the variometer, a further difficulty arises with $C$ and $D$ types* of airplanes, in consequence of the very great range of their vertical speeds. For horizontal filght, a variometer, thich has high sensitivity in the neighborhood of the zero position and a large oscillation range would have to be used and the nozzle adjustment would therefore be great. Since the downward speeds possess high values in $C$ and $D$ types of airplanes, up to $25 \mathrm{~m} / \mathrm{sec}(82 \mathrm{ft} / \mathrm{sec}$ ) an unadjustable instrument suitable for horizontal flight fails in glic̣ing flight. Nozzle adjustments for horizontal, climbing and gliding flight might eliminate a part of this difficulty, but it is not suitable for practical use on $\mathcal{O}$ and $D$ airplanes, although it can be used in the present case for scientific experiments. In $G$ and $R$ types, having a small rate of change in climbing speed, it would be applicable to a limited extent. Moreover, a variometer is not absolutely essential for horizontal flight, while the large series of experiments has shown that, with the help of a good altimeter, horizontal flight can be carried out with sufficient accuracy, since the barographs are so sensitive that, in the barogram (Fig. 20), even small changes of altitude, in the necessarily short turning flight (arcs of about $3 \not 0^{\circ}$ ), are clearly seen.

Error of the Theodolite Measuring Method.
In a large series of flights with the same airplanes and under similar conditions, it was found that the base of 1.4 kilometers, used in the present case, is not reliable for altitudes of over * Observation and pursuit airplanes.

4000 meters, since the sighting lines intersect at too sharp an angle. Hence the values for 4500 and 5000 meters are omitted. At an altitude of 4000 meters the greatest error was found to be $\pm 3 \%$, from comparisons of a series of measurements. The measurements can also be made for altitudes of 4000 to 7000 meters ( 13100 to 23000 feet) if a larger base is chosen for the theocolites. The errors are also smaller, if three theodolites are employed, the readings follow more quickly after each other, and the accuracy of the automatic recording theodolites is increased. The above measurements are only the beginning of a larger mork on speed measurements, phich has been planned for Lake Muritz. A base of 3000 or 5000 meters ( 9800 or 16400 feet) is there taken and the sequence of readings may be shortened to $I / 2$ second. It must be left to these detailed experiments to determine the limits of exror of the theodolites up to an altitude of 6000 meters ( 19700 feet), Yet it may be expected that this method can be improved so as to serve for , calibrating speed indicators for use on airplanes, (Pitot,tubes, Venturi tubes, etc.).

The sole aim of the present paper is to remedy the complete lack of data from actual flights and to give the order of magnitude of airplane speeds rather than their accurate values. The investigations described above show, horrever, that the previously assumed horizontal speeds of airplanes are very far from having been attained and have led to quite erroneous views, not only with us but also in other countries. This astonishing fact is due to not having

[^0]carried out reliable speed measurements above 2000 meters ( 6560 feet). According to English and French reports their customary measuring methods (with carnera obscura, etc.) can only be used up to altitudes of 1500 meters ( 4900 feet).

Translated by
National Advisory Committee for Aeronautics*

Table 1. Results of recent speed heasurements.

| No. | Date of Test | Airplane | Air Pressure |  | Temperature |  | Air Density |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | $\begin{aligned} & \text { mm. } \\ & \mathrm{Hg} . \end{aligned}$ | $\begin{aligned} & \text { in. } \\ & \mathrm{Hg} . \end{aligned}$ | ${ }^{\circ} \mathrm{C}$ | ${ }^{\circ} \mathrm{F}$ | $\begin{aligned} & \mathrm{kg} / \mathrm{m}^{3} \\ & . \rho \end{aligned}$ | $\begin{gathered} 1 b / \pm t^{3} \\ \rho \end{gathered}$ |
| 7 | $\begin{gathered} \text { March } 5, \\ 1918 . \end{gathered}$ | $\begin{array}{r} \text { RoI } \\ \text { DII a } \end{array}$ | $\begin{aligned} & 530 . \\ & 503 \\ & 480 \end{aligned}$ | $\begin{aligned} & 20.87 \\ & 19.80 \\ & 18.90 \end{aligned}$ | $\begin{aligned} & -7 \\ & -11 \\ & -14 \end{aligned}$ | $\begin{array}{r} 19.40 \\ 12.20 \\ 5.80 \end{array}$ | $\begin{aligned} & 0.925 \\ & 0.890 \\ & 0.850 \end{aligned}$ | $\begin{aligned} & .0577 \\ & .0556 \\ & .0537 \end{aligned}$ |
| 2 | $\begin{gathered} \text { March 15, } \\ 1918 . \end{gathered}$ | $\begin{gathered} \text { Pfal } \\ D I I I a \end{gathered}$ | $\begin{aligned} & 525 \\ & 488 \\ & 460 \\ & 400 \end{aligned}$ | $\begin{aligned} & 20.67 \\ & 19.21 \\ & 18.11 \\ & 15.75 \end{aligned}$ | $\begin{aligned} & -7 \\ & -12 \\ & -15 \\ & -22 \end{aligned}$ | $\begin{array}{r} 19.40 \\ 10.40 \\ 5.00 \\ -4.00 \end{array}$ | $\begin{aligned} & 0.920 \\ & 0.870 \\ & 0.830 \\ & 0.740 \end{aligned}$ | $\begin{aligned} & .0574 \\ & .0543 \\ & .0518 \\ & .0462 \end{aligned}$ |
| 3 | $\begin{aligned} & \text { March } 18, \\ & 1918 . \end{aligned}$ | $\begin{aligned} & \text { Junk } \\ & 0 \mathrm{I} \end{aligned}$ | $\begin{aligned} & 523 \\ & 485 \\ & 435 \\ & \hline \end{aligned}$ | $\begin{aligned} & 20.59 \\ & 19.09 \\ & 17.13 \end{aligned}$ | $\begin{gathered} 0 \\ -24 \\ -11 \end{gathered}$ | $\begin{aligned} & 32.00 \\ & 24.80 \\ & 12.20 \end{aligned}$ | $\begin{aligned} & 0.890 \\ & 0.840 \\ & 0.770 \end{aligned}$ | .0556 <br> .0524 <br> .0481 |
| 4 | $\begin{aligned} & \text { March } 23, \\ & 1918 . \end{aligned}$ | $\begin{aligned} & \text { HaIb } \\ & \text { CI IV } \end{aligned}$ | $\begin{aligned} & 525 \\ & 492 \\ & 461 \end{aligned}$ | $\begin{aligned} & 20.67 \\ & 19.37 \\ & 18.15 \end{aligned}$ | $\begin{aligned} & -4 \\ & -7 \\ & -9 \end{aligned}$ | $\begin{aligned} & 24.80 \\ & 19.40 \\ & 15.80 . \end{aligned}$ | $\begin{aligned} & 0.910 \\ & 0.860 \\ & 0.770 \end{aligned}$ | .0568 <br> .0537 <br> .0481 |
| 5 | April 3, | $\begin{aligned} & \text { Fok } \\ & \text { DVII } \end{aligned}$ | $\begin{aligned} & 535 \\ & 496 \\ & 464 \end{aligned}$ | $\begin{aligned} & 21.06 \\ & 19.53 \\ & 18.27 \end{aligned}$ | $\begin{aligned} & -9 \\ & -13 \\ & -17 \end{aligned}$ | $\begin{array}{r} 15.80 \\ 8.60 \\ 1.40 \end{array}$ | $\begin{aligned} & 0.940 \\ & 0.890 \\ & 0.840 \end{aligned}$ | $\begin{aligned} & .0587 \\ & .0556 \\ & .0524 \end{aligned}$ |
| 6 | $\begin{aligned} & \text { April } 27, \\ & 1918 \end{aligned}$ | S E | 545 | 21.46 | -8 | 17.60 | 0.960 | . 0599 |
| 7 | $\begin{gathered} \text { April } 9, \\ 1918 . \end{gathered}$ | $\begin{aligned} & \text { Fok } \\ & \text { Dr I } \end{aligned}$ | $\begin{aligned} & 538 \\ & 505 \\ & 443 \end{aligned}$ | $\begin{aligned} & 21.18 \\ & 19.88 \\ & 17.44 \end{aligned}$ | $\begin{aligned} & -5 \\ & -7 \\ & -12 \end{aligned}$ | $\begin{aligned} & 23.00 \\ & 19.40 \\ & 10.40 \end{aligned}$ | $\begin{aligned} & 0.930 \\ & 0.880 \\ & 0.790 \end{aligned}$ | .0581 <br> .0549 <br> .0493 |

Table I. Results of recent Speed Measurements (Cont )

| No. | Olimbing |  | Olimbing: |  | Barometric height |  | Height based on yearly mean. |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Speed $\mathrm{m} / \mathrm{sec}$. | Height m. | Speed ft/sec | Height f七。 |  |  |  |  |
|  |  |  |  |  | m. | $f$ t. | m. | ft. |
| 1 | -- | 2842 | -- | 9324 | 2900 | 9514 | 2900 | 9514 |
|  | -- | 3350 | -- | 10991 | 3300 | 10827 | 3250 | 10563 |
|  | -- | 3750 | -- | 12303 | 3700 | 12139 | 3550 | 11647 |
| 2 | 1. 95 | 2955 | 6.40 | 9695 | 3000 | 9842 | 2960 | 9711 |
|  | 1.85 | 3450 | 6.07 | 11319 | 3575 | 11729 | 3450 | 11319 |
|  | 1.65 | 3980 | 5.41 | 13058 | 4000 | 13123 | 3900 | 12795 |
|  | 0.70 | 5000 | 2.30 | 16404 | 5100 | 16732 | 4900 | 16076 |
| 3 | 2.10 | 2900 | 6.89 | 9514 | 3000 | 9842 | 3250 | 10663 |
|  | 1.60 | 3350 | 5.25 | 10991 | 3600 | 11811 | 3750 | 12303 |
|  | 0.80 | 4300 | 2.62 | 14108 | 4450 | 14600 | 4500 | 14764 |
| 4 | - | 2950 | -- | 9678 | 3000 | 9842 | 3050 | 10007 |
|  | -- | 3450 | -- | 11319 | 3500 | 11483 | 3550 | 11647 |
|  | -- | 3970 | -- | 13025 | 4000 | 13123 | 4070 | 13353 |
| 5 | 3.00 | 2775 | 9.84 | 9104 | 2850 | 9350 | 2750 | 9022 |
|  | 2.55 | 3250 | 8.37 | 10663 | 3450 | 11319 | 3250 | 10663 |
|  | 2.20 | 3780 | 7.22 | 12402 | 3950 | 12959 | 3750 | 12303 |
| 6 | 2.00 | 2620 | 6.56 | 8596 | 2700 | 8858 | 2580 | 8465 |
| 7 | 4.00 | 2780 | 13.12 | 9121 | 2800 | 9186 | 2800 | 9186 |
|  | 3.80 | 3200 | 12.47 | 10499 | 3300 | 10827 | 3300 | 10827: |
|  | 2.20 | 4180 | 7.22 | 13714 | 4300 | 14108 | 4300 | 14108 |

Table I. Results of recent Speed Measurements (Cont.)



Fig. 1
Pfal. DIIIIa


Fig. 2
Fok. DVII


Fig. 5 in. of Hg




Fig. 11 Fok. DVII


Fig. 12
Horizontal flight


Fig. 13
-Ist. Triangle 2775 m.
9100 ft.


Fig. 14
2nd. Triangle
3250 m
10663 ft.


Fig. 15
3rd: Triangle 31.50 m $12401 f t$.

Fok. DVII

## Fig. 13

lIst. Triangle, mean altitude 2775 mi ( 9100 全t.)
$\mathrm{V}_{\mathrm{I}}=40.8 \mathrm{~m} / \mathrm{sec}(I 33.86 \mathrm{ft} / \mathrm{sec})$
$\mathrm{v}_{2}=55.3$ " $\quad$ ( 181.43 п $\quad$ )
$\mathrm{v}_{3}=35.6 \mathrm{n}$ " (116.80 $\quad$ n $)$


Fig. 14
and. Triangle, mean altitude 3250 m (10663 ft.)
$v_{1}=42.2 \mathrm{~m} / \mathrm{sec}(135.45 \mathrm{ft} / \mathrm{sec})$
$v_{2}=60.0$ " " (196.85 " $\quad$ )
$v_{3}=30.0 \mathrm{n} \quad(98.42 \mathrm{n} \mathrm{n})$
$\mathrm{v}_{\mathrm{e}}=44.5$ п $\quad$ ( $\left.99.54 \mathrm{M} . \mathrm{P} . \mathrm{H}_{\mathrm{C}}\right) 160 \mathrm{~km} / \mathrm{hr}$ 。
$\overline{\mathrm{w}}=16.5^{\mathrm{n}}$ " $(54.13 \mathrm{ft} / \mathrm{sec})$

Fig. 15
3rd. Triangle, mean altitude 3780 m (12401 it.)

$$
\begin{aligned}
& V_{1}=41.9 \mathrm{~m} / \mathrm{sec}(137.47 \mathrm{ft} / \mathrm{sec}) \\
& v_{2}=26.2 \pi{ }^{\prime \prime}\left(85.96 \pi{ }^{*}\right) \\
& \nabla_{3}=61.3 n \pi(201.11 \pi n)
\end{aligned}
$$



Fig. 16
let. I'riangle 2900 m
9514


Fig. 17
2nd.. Triangle 3350 © 1099 ft .


Fig. If
3!С。 Triangle 4300 m 14208 さt.

Junk. CI

Fig. 16
lst. Triangle, mean altitude 2900 m (9514 ft.)
$v_{1}=42.1 \mathrm{~m} / \mathrm{sec}(138.12 \mathrm{ft} / \mathrm{sec})$
$v_{2}=51.1$ n $^{\prime \prime}\left(167.65\right.$ n $\left.^{\prime}\right)$
$\mathrm{v}_{3}=39.6$ " " (129.92 " $\quad$ )
$Y_{e}=44.7{ }^{n}{ }^{n}\left(96.86 \mathrm{M}_{*} \cdot \mathrm{P} \cdot \mathrm{H}_{\mathrm{n}}\right) 161 \mathrm{~km} / \mathrm{hr}$.
$\mathrm{W}=6.8^{\mathrm{n}} \mathrm{n}(22.31 \mathrm{ft} / \mathrm{sec})$

Fig. 17
2nd. Triangle, mean altitude 3350 m (10991 ft.)
$v_{1}=39.5 \mathrm{~m} / \mathrm{sec}(129.59 \mathrm{ft} / \mathrm{sec})$
$v_{2}=47.3$ " $\quad$ ( 155.18 " ")
$v_{3}=41.5 "$ " (136.15" ")
$\frac{v_{e}=43.4 \mathrm{n} \quad \text { " }(97.08 \mathrm{M} \text { P. H. })}{W_{\mathrm{w}}=456 \mathrm{~km} / \mathrm{hr} .}$

Fige 18
3rd. Triangle, mean altitude 4300 m (1410 $\mathrm{ft}$.
$v_{1}=32.8 \mathrm{~m} / \mathrm{sec}(107.61 \mathrm{ft} / \mathrm{sec})$
$\nabla_{2}=43.1$ n $\quad$ (141.40 n ")
$\nabla_{3}=50.5$ " " $\quad(165.68 \mathrm{~m}$ ")
$\frac{v_{e}=43.3 \mathrm{n} \quad \text { " }\left(96.85 \mathrm{M} \cdot \mathrm{P} . \mathrm{H}_{4}\right)}{\left.\mathrm{v}_{\mathrm{e}}\right)} 156 \mathrm{~km} / \mathrm{hr}$.

Junk. CI


Fig: 19


Fig. 20
Junk. CI


[^0]:    * Bombing airplanes.

