View metadata, citation and similar papers at <u>core.ac.uk</u>

brought to you by

이 이 이 아이들의 한 것들 것들을 알았는 것을 가 물을 했다.



NATIONAL ADVISORY COMMITTEE FOR AERONAUTICS

No. 579

CHARTS FOR CALCULATING THE PERFORMANCE OF AIRPLANES

HAVING CONSTANT-SPEED PROPELLERS

By Roland J. White and Victor J. Martin California Institute of Technology

;- .

Washington September 1936 NATIONAL ADVISORY COMMITTEE FOR A ERONAUTICS

TECHNICAL NOTE NO. 579

CHARTS FOR CALCULATING THE PERFORMANCE OF AIRPLANES

### HAVING CONSTANT-SPEED PROPELLERS

By Roland J. White and Victor J. Martin

### SUMMARY

Charts are presented for determining the performanc $\bar{e}$ of airplanes having variable-pitch propellers, the pitch of which is assumed to be adjusted to maintain constant speed for all rates of flight.

The charts are based on the general performance equations developed by Oswald in reference 1, and are used in a similar manner.

Examples applying the charts to airplanes having both supercharged and unsupercharged engines are included.

#### INTRODUCTION

Within the past several years the two-pitch controllable propeller has been developed to a reliable form and at present the multiposition, or variable-pitch, propeller is being perfected. Because of these recent advances, Dr. C. B. Millikan suggested the problem of calculating a set of performance charts for airplanes having constant-speed propellers. The presentation of these charts is the subject of this paper. The authors wish to extend their appreciation to Dr. Millikan for invaluable assistance rendered throughout the preparation of the paper.

As the full-throttle brake horsepower of an airplane is approximately proportional to the engine speed, it is evident that the maximum brake horsepower for a given altitude will be realized only when the engine is operating at rated revolution speed; therefore, aside from special settings, the most efficient use of the variable-pitch propeller is obtained by adjusting its pitch so as to maintain the rated revolution speed for all speeds of flight.

Ň

Propellers operated in this manner have been termed "constant-speed propellers." \_\_\_

No attempt will be made to develop the basic performance equations or to describe in detail the method of calculating the present charts, as the process is similar to that of reference 1. The difference between the present charts and those developed for fixed-pitch propellers lies in the  $T_a$  and  $T_v$  functions, which give the variation of thrust horsepower available with altitude and velocity of flight.

GENERAL	PERFOR	MANCE	EQUA	TIONS

For the purpose of performance calculation, the characteristics of the airplane are represented by three design parameters:

 $l_p = W/f$ , parasite loading,  $l_s = W/e(kb^2)$ , effective span loading,  $l_t = W/P_0 \eta_0$ , thrust horsepower loading,

where

W is gross weight of the airplane,
f, equivalent parasite area (sq. ft.) defined by the equation f = C<sub>Dp</sub> S,
kb, Munk's equivalent monoplane span,
e, airplane efficiency factor,
η<sub>o</sub>, design propulsive efficiency,

P., design brake horsepower.

These parameters are combined into a single parameter,  $\Lambda$ , which is plotted as the abscissa in the various performance charts,

$$\Lambda = \frac{l_s l_t^{4/3}}{l_p^{1/3}}$$

The maximum speed at sea level,  $V_m$ , is expressed in terms of the three design parameters and speeds for other conditions of flight, which are given in terms of  $R_v$ , a dimensionless speed ratio,

$$R_v = \frac{v}{v_m}$$

The fundamental performance equation

$$\frac{dh}{dt} = \frac{(t.hp.a - t.hp.r) 550}{W}$$
(1)

is expressed in engineering units in the form

$$\frac{dh}{dt} = \frac{33000}{\sigma R_v} \left[ (T_a T_v \sigma R_v - \sigma^2 R_v^4) - \frac{l_s - l_t}{3.014 V_m} (1 - \sigma^2 R_v^4) \right] (2)$$

. . . .

where

. .

 $\frac{dh}{dt}$  is rate of climb at altitude  $\sigma$  and velocity  $R_v$ ,

t.hp.<sub>a</sub>, thrust horsepower available,  
t.hp.<sub>r</sub>, thrust horsepower required,  

$$\sigma = \rho/\rho_0 \ (\rho_0 = 0.002378)$$
,  
 $T_v = \frac{t.hp._a \text{ at velocity V}}{t.hp._a \text{ at Vm}}$  (At sea level)  
 $T_a = \frac{t.hp._a \text{ at altitude}}{t.hp._a \text{ at sea level}}$  (At constant velocity)

By the imposing of the various flight conditions on equation (2), expressions are obtained enabling charts for the major performance characteristics to be calculated, when suitable expressions for  $T_a$  and  $T_v$  are introduced.

4

# EXPRESSION FOR T<sub>v</sub>

The  $\overline{T}_v$  function gives the effect of variation of t.hp.a at sea level due to different speeds of flight. In general,

$$t.hp_{\cdot a} = b.hp_{\cdot} \eta \tag{3}$$

and, in the case of the constant-speed propeller, b.hp. = b.hp.o at sea level for all speeds of flight; therefore

 $T_v = b.hp. \eta/b.hp. \eta_o = \eta/\eta_o$  (4)

· /#

By reference to Weick's propeller charts (reference 2), the value of  $\eta_0$  is determined in the usual manner from the design values of the propeller parameters  $C_{s_0}$  and

 $J_0$ , where  $J_0$  is V/nD.

$$C_{s_{0}} = \frac{0.638 \, V_{m} \, \sigma^{1/5}}{P_{0}^{1/5} \, N_{0}^{2/5}}$$

$$J_{o} = \frac{88 V_{m}}{N_{o} D} ;$$

As the b.hp. and N (r.p.m.) are invariant with speed, the values of  $\mathcal{Q}_{g}$  and J are both directly proportional to the speed of flight; hence,

 $C_{s} = R_{v} C_{s_{0}}$  (5)

 $J = R_v J_0$ (6) For a given C<sub>B0</sub> and J<sub>0</sub> it is possible, by using equations (5) and (6), to determine the propulsive efficiency  $\eta$  and the blade angle  $\beta$  as a function of  $R_v$ , which has been done for various values of  $C_s$  for both

the BEST PERFORMANCE PROPELLER AND PEAK EFFICIENCY PROPEL-LER\* on the propeller charts presented in figures 1 and 2, respectively.

As a definite  $J_0$  is associated with each  $C_{s_0}$  for both types of propeller, it is necessary only to specify the value of  $C_{s_0}$ . Since the value of  $\eta$  for different values of  $R_v$  is known, equation (4) enables a curve of  $T_v$  to be plotted as a function of  $R_v$ , which is the desired relation.

This  $T_v$  function will depend upon  $C_{s_0}$ ,  $J_o$ , and the type of engine installation. Curves of  $T_v$  have been plotted in figure 3 based on the propeller chart for the case of fuselage 6 (reference 2), which is most representative for modern airplanes.

In order that the charts may be used for propeller designs other than those resulting in best performance or peak efficiency propellers, three representative curves were drawn to represent this family of  $T_v$  functions and have been used in calculating the performance charts. These representative curves were chosen to pass through  $T_{v_c} = 0.86, 0.90$ , and 0.94, where  $T_{v_c}$  is termed the

"critical  $T_v$ " and is defined as the value of  $T_v$  for  $R_v = 0.60$ . The value  $R_v = 0.60$  was chosen as that corresponding to the speed for best climb. By this specification of the curves, values of  $T_v$  used in calculating the

\*The BEST PERFORMANCE PROPELLER is defined as a propeller having its diameter and blade angle chosen so that  $\eta_0$  lies on the envelope of the family of efficiency curves.

The PEAK EFFICIENCY PROPELLER is defined as a propeller having its dimater and blade angle chosen so that  $\gamma_0$ lies on the peak of its efficiency curve.

These definitions are those adopted by Oswald in reference 1.

1. a 🖬

- -

- v.a.

-- 7--

performance charts will agree with the actual values at maximum velocity and at a speed near to that for best climb for any propeller design and will approximate values for other speeds very closely. The curve for  $T_{V_c} = 0.94$ 

was chosen to include the cases in which, in order to reduce the take-off run, it is desirable to use a propeller of diameter greater than that of a peak efficiency propeller (reference 3), which gives a  $T_v$  curve having values slightly greater than 1.00 at values of  $R_v$  near 1.00 and lying as a whole above the  $T_v$  curves for either the best performance or the peak efficiency propellers. For reasonable increases in propeller diameter, the curves used in calculating the charts will give a sufficiently accurate approximation and, in any case, will be on the conservative side. In the calculation of the charts, it is necessary to know the derivative  $dT_v/dR_v$ . This derivative was graphically obtained by using a large scale because it was impossible to find a convenient analytical expression that would represent the  $T_v$  curves used.

EXPRESSION FOR T

· 제 2019년 - 1919년 - 191 - 1919년 T<sub>a</sub> function represents the variation of t.hp.a The at different altitudes for the airplane flying at constant velocity. The t.hp.a equation, in which the subscript h refers to altitude conditions, becomes and a second

----

 $t.hp.a_h = b.hp.h \eta_h$ 

Three curves for variation of b.hp. with altitude are shown in figure 4. The lower curve labeled "Qswald" and used in reference 1 (fig. 22) is a combination of data obtained from references 3 and 4 and is representative of un-(supercharged engines. The upper curve labeled "N.A.F." is a curve obtained from altitude-chamber tests at the Naval Aircraft Factory and is believed to be more representative of present-day supercharged engines. The middle curve is a mean adopted in calculating the charts and is somewhat conservative for the higher altitudes. It is expressed by the equation a zosta zosta
 a zosta zosta

$$\frac{b.hp._{h}}{b.hp._{o}} = \frac{\sigma - 0.117}{0.883} = \frac{\sigma - a}{1 - a}$$

а. .

From the condition that N remain constant, the value of V/nD is constant for a given velocity at all altitudes. The value of  $C_s$ , however, varies with altitude according to the relation

.

 $C_{s_{h}} = \frac{0.638 \ V \ \sigma^{1/5}}{(b.hp._{h})^{1/5} \ N_{o}^{2/5}} = C_{s} \ (\sigma = 1.0) \left[ \frac{\sigma^{1/5}}{\left(\frac{\sigma - a}{1 - a}\right)^{1/5}} \right]$ 

The change in propulsive efficiency with altitude at constant velocity, due to the change in  $C_g$ , was investigated for the various  $C_{s_0}$ 's for both the best performance and the peak efficiency propellers, for values of  $R_v$  from 0.6 to 1.0. The maximum increase in efficiency at 30,000 feet for the best performance propeller was found to be about 3 percent for  $O_{s_0}$ , ranging from 1.7 to 2.0, and at operating velocities. The increase in efficiency for the peak efficiency propeller in the same range was from 1 to 2 percent. For  $C_{s_0}$  less than 1.7, the change in efficiency at operating speeds at 30,000 feet was always within 1 percent, being sometimes positive and sometimes negative.

This change in propulsive efficiency with altitude at constant velocity was not considered sufficient to take into account in calculating the performance charts. Hence it is assumed that  $\eta$  will be the same for all values of  $\sigma$ , and the  $T_a$  expression becomes

 $T_a = \frac{b.hp.h}{b.hp.o} \frac{n_h}{n_b} = \frac{b.hp.h}{b.hp.o} = \frac{\sigma - 0.117}{0.883}$ 

From the foregoing discussion it is seen that this assumption leads to somewhat conservative values for thrust horsepower at the higher altitudes for high  $C_{s_0}$ .

By the use of these  $T_a$  and  $T_v$  functions, performance charts have been calculated as explained in reference 1. Figures 5 to 9 give, respectively: maximum velocity at altitude; absolute and service ceiling; maximum rate of climb; velocity for maximum rate of climb; and minimum time to climb to altitude.

### USE OF CHARTS

The first step in making a performance calculation is to estimate the value of the parasite area f and the airplane efficiency factor e. This estimation is most conveniently accomplished by comparison with similar airplanes of known performance or by the use of figure 25 and table III of reference 1. Then, by assuming a value of  $V_m$  and using the known engine data, one can find the value of  $C_{s_0}$ . By the selection of the propeller diameter, the values of  $J_0$  and  $\eta_0$  are determined. This determination gives sufficient data to compute the design parameters  $l_p$ ,  $l_s$ , and  $l_t$ . The value of  $V_m$  may then be computed and the assumed value checked.

Before the charts can be employed, the value of  $T_{Y_C}$ must be determined, which is accomplished by taking 60 percent of the  $C_{S_O}$  and  $J_O$  values and obtaining a new  $\eta$ corresponding to the new  $C_S$  and J. If a best performance or peak efficiency propeller is used, this new  $\eta$ may be found from figure 1 or figure 2 at  $R_V = 0.6$  for the design  $C_{S_O}$ . Dividing this new  $\eta$  by  $\eta_O$  gives the value of  $T_{V_C}$ . If  $T_V$  is known and  $\Lambda$  is computed, the charts may be used to find the performance characteristics.

Should the airplane have a supercharged engine, these charts may be used to calculate the full-throttle performance above the critical altitude by either of two methods given in reference 5. The second of these methods, which will be used in the second example, consists of using a fictitious unsupercharged engine of increased b.hp. chosen to give the actual design b.hp. at the critical altitude. All performance characteristics below the critical altitude are invalid and should be discarded.

	:		ÉX.	MPLE	I	ÚNS.	UPER CH.	ARGED	ENG	INJ	Ç					
Given:		W		8,500	16.				S	=	390	8Q.	fţ.	,		- 3
		ъ	n	48	ft.				f	Ħ	7.6	sq.	ft.	, 		
		Po	=	700	hp.	at	2,000	r.p.r	a. e	=	0,8	3		دوريد		مرد. میگ
	æ									۰.	•					نىسىد ، - · ·
										-		• .	~	AL 44	· <del></del>	

Assume:

 $V_m = 220$  m.p.h. at sea level  $C_{s_0} = 1.8$  for 220 m.p.h., 700 hp., at 2,000 r.p.m.  $\eta_0 = 0.86$ , for best performance propeller (fig. 1). Calculate:

 $l_{p} = 1.118$   $l_{s} = 4.5$   $l_{t} = 14.1$   $l_{p} = 14.1$   $l_{p} = 14.1$  $l_{p} = 14.1$ 

Find:

 $V_m = 218.5 \text{ m.p.h.}$  (fig. 29, reference 1)

If this calculation does not check the assumed value of  $V_m$  closely enough, a new choice must be made, and the procedure repeated.

$$\eta = 0.747$$
 at  $R_v = 0.6$  for  $C_{s_0} = 1.8$  (fig. 1)

If the propeller were not a best performance or a peak efficiency propeller, J<sub>o</sub> corresponding to the design diameter would be found:

 $J_0 = 1.035$  (in this case for  $C_{s_0}$  and best performance setting)

Then find 0.6  $C_{s_0} = 1.085$  and 0.6  $J_0 = 0.621$  and, from figure 14 of reference 2, read  $\eta = 0.747$  at  $C_s = 1.08$  and J = 0.621.

Calculate  $T_{v_c} = \eta (R_v = 0.6) / \eta_o = 0.747 / 0.860 = 0.87$ Calculate  $\Lambda = 14.75$ 

Enter charts with  $\Lambda = 14.75$  and  $T_{v_c} = 0.87$ 

<u>9</u>

∛<sub>m</sub>h ν.<sub>c</sub> Standard  $C_{\rm H}$ т altitude rt. m.p.h. ft./min. m.p.h. min. ... , Q 218.5 129.3 1,210 0 10,000 206.0 135.5 592 11.6 20,000 164.5 146.0 42.6 88.0 Service ceiling 18,800 100 Absolute ceiling 20,900 147.0 147.0 0

EXAMPLE II - SUPERCHARGED ENGINE

Given: ₩ = 8,500 lb.  $S = 390 \, sg.$ ft. Ъ 🛥 48 ft. 9,0 gq. ft  $P_0 =$ 600 hp. at 2,000 r.p.m. 0.82 e - = at 10,000 ft. -----(The subscript f denotes fictitious conditions at sea level.) \_ <u>-</u> Assume:  $\underline{V}_{\underline{m}_{f}} = 220 \text{ m.p.h.}$ 0.705 at 10,000 feet (fig. 4) Э' =  $P_{0,r} = 600/0.705 = 852 \text{ hp}.$ C<sub>80f</sub> 1.74 for 220 m.p.h., 852 hp. at 2,000 r.p.m.  $n_{o_f} = 0.853$ , for best performance propeller (fig. 1)  $\eta = 0.737$  at  $\dot{R}_v = 0.6$  for  $C_{s_{of}} = 1.74$  (fig. 1)

Results:

 $T_{v_c} = 0.737/0.853 = 0.865$ Calculate Calculate:  $l_{\rm p} = 945$  $l_{a} = 4.5$  $l_{s} l_{t_{r}} = 52.7$  $l_{t_{e}} = 8500/(0.853)(852) = 11.7$   $l_{p} l_{t_{e}} = 80.7$ Find  $V_{m_e} = 221.5$  m.p.h. and check assumption Calculate  $\Lambda = 12.2$ Enter charts with  $\Lambda = 12.2$  and  $T_{v_{e}} = 0.865$ Results: V<sub>m</sub>h V<sub>C</sub> Standard СH altitude ft. ft./min. m.p.h. m.p.h. n (221.5)10,000 211.0 134.5 798 20,000 183.0 144.0 171 Service ceiling 100 21,200 Absolute ceiling 22,900 147.5 147.5 0

### CONCLUSION

Because insufficient flight-test data are available for airplanes having constant-speed propellers, it has been impossible to determine the accuracy of the charts by comparison with flight-test data. It is reasonable to expect

	:	· · ·		
				~~~
				- 4.5
12	N.A.C.A.	echnical Note No. 579		·
			· · · · · · · · · · · ·	····
the s	ame order of accur	acy as is obtained fro	m Oswald's	· · ·
от <u>шт</u> т	GI CHGIVS IVI IIA	a-proce properiers.		
Calif	ornia Institute of Pasadena, Californ	Technology, ia, March 1936.		
		-	ar	
		······································		
	en e		94	
		REFERENCES		-
	i ana ar i i i i i i i i i i i i i i i i i i			
21 0 <i>4</i>	wold W Boillow	Cononal Pannylag and C	•	
* I. US	Calculation of Ai N.A.C.A., 1932.	rplane Performance. T	.R. No. 408,	
				-
2. We	ick, Fred E.: Wor Aluminum Alloy Pr	king Charts for the Se opellers of a Standard	lection of Form to Oper-	
	ate with Various	Aircraft Enginos and B	odies. T.R.	
	NO. 000, N.A. U.A.	, 1930.		
VZ Co				
· 0. GO	ve, w. D.: Ine va	riation in Engine Powe	r with Alti-	
· J. UU	tude Determined f	riation in Engine Powe rom Moasurements in Fl	r with Alti- ight with a	
· J. GQ	ve, W. D.: Ine va tude Determined f Hub Dynamometer.	riation in Engine Powe rom Moasurem <u>ents</u> in Fl T.R. No. 295, N.A.C.A	r with Alti- ight with a , 1928,	<del>.</del>
₩4. Co	tude Determined f Hub Dynamometer.	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard. A. L.: The De	r with Alti- ight with a ., 1928, termination	 
₩4. Co	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi	r with Alti- ight with a · 1928, termination nes from the	  
₩4. Co	ve, w. D.: Ine va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R.	r with Alti- ight with a ., 1928, termination nes from the & M. No.	• • • • • • •
₩4. Co	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928.	r with Alti- ight with a . 1928, termination nes from the & M. No.	· · · · · · · · · · · · · · · · · · ·
√4. Co	ve, w. D.: Ine va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928.	r with Alti- ight with a ., 1928, termination nes from the & M. No.	· · · · · · · · · · · · · · · · · · ·
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev	r with Alti- ight with a ., 1928, termination nes from the & M. No. culation for eloped by W.	· · · ·
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater	r with Alti- ight with a .1 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	•••••
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a ., 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co - 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co 5. As	ve, w. D.: The va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a ., 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - ∕4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a 	
- 3. Go - 4. Co 5. As	ve, w. D.: The va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a ., 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928. termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co - 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go - 4. Co 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go 4. Co - 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go 4. Co - 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. alos, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a . 1928. termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go 4. Co - 5. As	ve, w. D.: Ine va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type I 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a ., 1928, termination nes from the & M. No. culation for eloped by W. iel Division,	
- 3. Go 4. Co - 5. As	vs, w. D.: The va tude Determined f Hub Dynamometer. ales, J. D., and L of the Horsepower Results of Type T 1141, British A.R hley, R. B.: Meth Airplanes with Su Bailey Oswald. A Army Air Corps, 1	riation in Engine Powe rom Moasurements in Fl T.R. No. 295, N.A.C.A ingard, A. L.: The De Height Factor of Engi rials of Aircraft. R. .C., 1928. ods of Performance Cal percharged Engines Dev .C.I.C. No. 679, Mater 933.	r with Alti- ight with a ight with a ight with a ight with a ight with a ight with a ight a 	

•

۰.

1

÷.,

ς.

1.00 .90 180= 2.6 OFFusplage 6 (reference 2) .80 η .70 5 ්සි : 0.75R, degrees .60 .50 a t \$ BO = 2.0 æ .40 1.8 25 angle β 1.0 S Blade .30 14 1.2 15 10 .70 .80 .90 1.00 .50 .60 .20 .30 .40 R,

Figure 1.- Characteristics of two-bladed, constant-speed best performance propeller.

Fig. 1

17.

١.

.

î



Figure 2.- Characteristics of two-bladed constant-speed peak efficiency propeller.

Fig. 2

-

1.0 04 <u>%</u> .9 Q T<sub>v</sub> .8 .7 Ry = V .8 .7 .9 .5 .6 1.0



N.A.C.A. Technical Note No. 579

J. 2. 3

5 •



;

.

\$

2

÷

1.00 1 .90 , .80 .70 u-du 0 .60 व a. Ŀ. Ē .50 N.A. σ-\$.117 . F ₽ 0.883 .40 ald a .30 10,000 20,000 30,000 0

Altitude, feet

Figure 4.- Variation of full-throttle brake horsepower at constant r.p.m. with altitude.

٩,

.

.\*

î.



Figure 5.-  $R_{v_m}$  and  $R_{v_H}$  as functions of A.

Fig. 5



\$

2

¢

Fig. 6





۴.

¢

Fig. 7

۰.,



Figure 7.-  $l_{t}C_{H}$  as a function of  $\Lambda$  at various altitudes.  $C_{H}$  is the maximum rate of climb in feet per minute.



٠

1

t

¢

Fig. 8





1

ŧ

ŧ۳