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### Simple Statistical Model to Quantify Maximum Expected EMC in Spacecraft and Avionics Boxes

### Workshop Session FR-AM-2 "EMC for Space Applications"

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### NASA Requirement Need to know RF environment in large fairings



- Challenges:
  - 1. Interior and exterior sources
    - C- S- and X-band transmitters
    - Lightning strike
    - External RF, interference
  - 2. Electrically large
    - Sensitive to details
  - 3. Details only known approximately
    - Fairing lining dimensions
    - Payload dimensions
    - Payload surface impedances



## Model scale fairing EM field tests at KSC



- Fiber optic sensors to on a fiberglass mount used in 56 location within the fairing to measure the distribution.
- Spatial and frequency variation used.

Composite fairing half test set-up with fiberglass mount - outer probe positions



## **3D EM Wavefield modelers**



Field distribution of lossless fairing model at 5.65 GHz of small composite model MLFMM (FEKO) and MoM (WIPL-D)

Rotational model of a typical large fairing with size of lab model fields shown for comparison

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460.2

409.2

358.2

307.2 256.2

205.2

154.1

103.1

52.11

### Models have not correlated well with test



# However, both model AND test show EM filed collapses to 2 parameter PDF



C-Band composite fairing position and frequency stirring test and model data following Chi distribution.



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### **Power balance (PWB)method** Recently extended to predict Variance & Max Expected E-field

 $n = \frac{8\pi V f^2}{c^3}$ 

 $E[U] = \frac{Source \ power}{\omega\eta}$ 

An electronic enclosure of volume V has EM modal density

The asymptotic statistical <u>mean\_</u>EM field energy in the enclosure is governed by the excitation source power and enclosure Q factor

Hill (2009) has shown that: 
$$Q = 1/\eta$$
  $Q = \frac{3V}{2\mu_r \delta S}$ ,  $\delta = \sqrt{\frac{1}{\pi f \mu_w \sigma_w}}$ 

where S is the surface area of the cavity walls  $\mu_r$ ,  $\mu_w$ , and  $\sigma_w$  are respectively the relative permeability, the permeability, and the conductivity of the cavity walls.

Langley [2004] has shown the asymptotic relative variance of the cavity energy is:

$$\operatorname{RelVar}[U] = \frac{1}{\pi m} \left\{ \alpha - 1 + \frac{1}{2\pi m} \left[ 1 - e^{-2\pi m} \right] + \operatorname{E}_{1}(\pi m) \left[ \cosh(\pi m) - \frac{1}{\pi m} \sinh(\pi m) \right] \right\}$$

where *m* is the EM modal overlap factor:  $m = f \eta n = f n / Q$ ,

The relative variance of a field component at a point is:  $1+2 \operatorname{RelVar}[U]$ Robust Physics

### New Variance & Max Expected checked on modes of rectangular cavity



## EM field Mean & Max Expected Measured







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### EM field Mean & Max Expected Predicted with simple PWB statistical model





### Conclusions

- Statistical PWB models look promising
  - Ideal for complex payloads in fairings when EM design parameters are only ever known approximately
  - Statistical model predicts:
    - Mean
    - Standard deviation
    - Max expected (eg 97.5% quartile)
  - No time wasted meshing details
  - PWB model solves in seconds on laptop computer
  - Can also predict induced current & voltages in wiring harnesses

