Imaging of 3.4 THz quantum cascade laser beam using uncooled microbolometer camera

Lowe, Michele N

Monterey California, Naval Postgraduate School
IMAGING OF 3.4 THz QUANTUM CASCADE LASER BEAM USING AN UNCOOLED MICROBOLOMETER CAMERA

by

Michele Lowe

December 2006

Thesis Advisor: Gamani Karunasiri
Second Reader: Nancy Haegel

Approved for public release; distribution is unlimited
# Imaging of 3.4 THz Quantum Cascade Laser Beam using Uncooled Microbolometer Camera

**Michele Lowe**

The employment of terahertz (THz) technology for applications including Improvised Explosive Device (IED) and concealed weapons detection is a rapidly growing field of research. Additionally, THz waves do not pose a health hazard as do x-rays and as such can be used for the imaging and detection of certain cancers. To date, however, most detectors are highly sophisticated, bulky systems which require extensive cooling in order to provide a signal-to-noise (SNR) ratio high enough for detection. A detection system that is simple in operation and uncooled is highly desirable and is the focus of this research.

In this thesis, operation of a 3.4 THz quantum cascade laser (QCL) was successfully achieved using a closed cycle cryostat and nanosecond pulse generator with impedance matching circuitry. The laser beam was imaged in real time using an uncooled microbolometer infrared camera typically used in far-infrared wavelength band (8-12 μm). The preliminary findings offer potential for development of a compact THz imaging system for applications involving concealed object detection.
IMAGING OF 3.4 THz QUANTUM CASCADE LASER BEAM USING AN UNCOOLED MICROBOLOMETER CAMERA

Michele N. Lowe
Lieutenant, United States Navy
B.A., University of Florida, 2000

Submitted in partial fulfillment of the requirements for the degree of

MASTER OF SCIENCE IN APPLIED PHYSICS

from the

NAVAL POSTGRADUATE SCHOOL
December 2006

Author: Michele Lowe

Approved by: Gamani Karunasiri
Thesis Advisor

Nancy Haegel
Second Reader

James H. Luscombe
Chairman, Department of Physics
The employment of terahertz (THz) technology for applications including Improvised Explosive Device (IED) and concealed weapons detection is a rapidly growing field of research. Additionally, THz waves do not pose a health hazard as do x-rays and as such can be used for the imaging and detection of certain cancers. To date, however, most detectors are highly sophisticated, bulky systems which require extensive cooling in order to provide a signal-to-noise (SNR) ratio high enough for detection. A detection system that is simple in operation and uncooled is highly desirable and is the focus of this research.

In this thesis, operation of a 3.4 THz quantum cascade laser (QCL) was successfully achieved using a closed cycle cryostat and nanosecond pulse generator with impedance matching circuitry. The laser beam was imaged in real time using an uncooled microbolometer infrared camera typically used in far-infrared wavelength band (8-12 μm). The preliminary findings offer potential for development of a compact THz imaging system for applications involving concealed object detection.
# TABLE OF CONTENTS

## I. INTRODUCTION
- A. TERAHERTZ IMAGING ................................. 1
- B. TERAHERTZ WAVES .................................. 1
- C. TERAHERTZ SOURCES ................................ 2
- D. TERAHERTZ DETECTORS .............................. 3

## II. THEORETICAL BACKGROUND
- A. BLACKBODY RADIATION ............................. 5
- B. MICROBOLOMETER OPERATION ....................... 10
- C. QUANTUM CASCADE LASER .......................... 14
  1. Solid-state Diode Laser Compared to QC Laser 15
  2. 3.4 THz QCL Operation ........................... 17

## III. EXPERIMENTAL SET-UP
- A. LASER HOLDER ...................................... 19
- B. OPTICS ............................................ 20
- C. QCL .................................................. 21
- D. LASER COOLING SETUP .............................. 23
- E. PICARIN WINDOW AND CAMERA LENS ................. 24
- F. PULSED POWER TO THE LASER ....................... 26
- G. STEP-DOWN TRANSFORMER ........................... 27

## IV. EXPERIMENTAL PROCEDURE .......................... 31

## V. RESULTS AND RECOMMENDATIONS
- A. CURRENT AND SIGNAL OUTPUT ...................... 33
- B. IMAGES OF LASER BEAM ............................ 35
- C. FUTURE WORK RECOMMENDATIONS .................... 37

## APPENDIX A
- A. MATLAB PROGRAM FOR PLANCK BLACKBODY RADIATION LAW APPROXIMATION ......................... 39
- B. MATLAB PROGRAM FOR PLANCK BLACKBODY RADIATION LAW 39
- C. MATLAB PROGRAM FOR COMPARISON OF EQUATION 2.1 AND EQUATION 2.4 ............................... 39

## APPENDIX B
- A. PROCEDURE FOR OBTAINING CORRECT TURN RATIO ON TRANSFORMER ................................. 41

## LIST OF REFERENCES ................................ 43

## INITIAL DISTRIBUTION LIST ........................... 47
LIST OF FIGURES

Figure 1. Frequency Spectrum (From [7]). ......................... 2
Figure 2. Approaches used to generate THz radiation (From [8]). ............................. 3
Figure 3. Power emitted as a function of THz frequency using Equation 2.3 at 300K. ................. 6
Figure 4. Power emitted as a function of THz frequency using Equation 2.4 at 300K. ..................... 7
Figure 5. Blackbody radiation exitance as a function of frequency at 300K.................................. 8
Figure 6. Comparison of power emitted using Equations 2.3 and 2.4. ............................... 9
Figure 7. IR-160 Thermal Imager (From [15]). ............... 11
Figure 8. Microbolometer pixel structure (From [14]) ........ 12
Figure 9. Thermal sensor operation diagram ...................... 12
Figure 10. Operation of a diode and QC laser (After [16]). 15
Figure 11. Conduction band structure for QC laser (After [19]). 16
Figure 12. Schematic of 3.4 THz laser (After [20]). .......... 17
Figure 13. Laser holder with parabolic mirror. ............. 19
Figure 14. Laser and laser holder size comparison with quarter. ................................... 20
Figure 15. Laser holder with QCL and optics. Arrows show laser beam path (After [20]). ................. 21
Figure 16. Laser holder with optics mounted. .................... 21
Figure 17. 3.4 THz Laser, pads, and metal holder. ............ 22
Figure 18. Close-up of the laser. ................................. 23
Figure 19. Closed cycle refrigerator head where laser is housed. ....................................... 24
Figure 20. LakeShore 312 Autotuning Temperature Controller set to 10K. .............................. 24
Figure 21. Manufacturer’s data depicting percent THz transmitted through picarin window. (From [18]) 25
Figure 22. THz transmission through picarin measured with FTIR. ......................................... 25
Figure 23. Picarin lens used for the microbolometer camera. ................................................... 26
Figure 24. Transformer and current monitor. .................... 28
Figure 25. Pulse Generator. .......................................... 29
Figure 26. Oscilloscope. ............................................. 29
Figure 27. Experiment set-up .................................... 32
Figure 28. Current as a function of time in steps of 50 mA through laser. ............................. 33
Figure 29. Voltage across the output of the transformer... 34
Figure 30. I-V Characteristics for 3.4 THz laser for input current greater than 100 mA. The blue circle represents the current range over which the laser lased.

Figure 31. Three images of THz radiation captured by microbolometer.

Figure 32. Clear plastic in front of THz beam at 1.2 A, 7.5 V.
LIST OF TABLES

Table 1. Pulse generator output settings. .............. 32
Table 2. Transformer Data to determine squared turn ratio. ........................................ 42
ACKNOWLEDGMENTS

I would like to thank the Air Force Office of Scientific Research for funding my thesis work. Without their monetary grants, none of this would be possible.

Additionally, I would like to thank Danielle Chamberlain and Peter Robrish from Agilent Laboratories in Santa Clara for not only thinking of us when they disestablished their THz program, but also for always being available to help with our research.

I would say at best I am a novice in this field. I spent countless afternoons and evenings conducting experiments in the laboratory with the laser. But I was not alone. I must thank Major Barry Behnken for being right there with me and for his help and guidance.

The students in the Physics Department at NPS are blessed to have Sam Barone’s and George Jaksha’s assistance whenever needed. I relied heavily on these two individuals throughout my research. They were instrumental in bringing the laser online and without their help we would not have gotten very far. I also would like to acknowledge Don Snyder who provided us with the current monitor needed in our research.

It takes a brave, patient soul to accept me as a thesis student. I wish to whole heartedly thank Professor Gamani Karunasiri for always having the answer. It was through his clear vision that research into this field even began at NPS. He was nothing but supportive and positive
even when experiments did not yield results. My research would have been impossible without his leadership and I am forever grateful for the impact he has had on my life.

I would like to thank my support at home, John. It was only with his love, sacrifice, patience, and support that I was able to get through this incredible challenge.
I. INTRODUCTION

A. TERAHERTZ IMAGING

Imaging using terahertz (THz) frequencies has recently gained momentum due to its penetration through non-conducting materials [1-2]. The advances in detection devices and increase in convenient high power emitters as well as fabrication of adaptive optics makes this region available for imaging. These waves are short enough for submillimeter imaging while long enough to penetrate many materials [3]. This characteristic property makes THz imaging a promising solution to detecting Improvised Explosive Devices (IEDs) and concealed weapons for airport security as the technology matures.

Additionally, THz waves produce no health threats like x-ray radiation. Most of the energy present in these waves is dissipated through the first 100 $\mu$m of the skin [4-5]. Deeper penetration is not possible due to water content. These waves do not contain enough energy to affect the underlining organs which makes THz imaging ideal for medical purposes.

B. TERAHERTZ WAVES

The terahertz region of the electromagnetic spectrum ranges from 300 GHz to 10 THz corresponding to wavelengths of 30 $\mu$m to 1000 $\mu$m. These wavelengths fall into what is called the far-infrared or submillimeter wave region, commonly referred to as submillimeter-terahertz (SMM-THz) [6]. The characteristics of wavelengths in this region
allow submillimeter resolution while containing enough energy to penetrate through many materials. Figure 1 shows where the THz region lies in the frequency spectrum.

![Figure 1. Frequency Spectrum (From [7]).](image)

The energy of THz photons ranges from about 0.001 to 0.04 eV. This range is comparable with thermal energy at room temperature (300 K) which has a value of 0.026 eV. In order to detect thermally generated THz radiation, highly sensitive detection schemes are needed to overcome the thermal noise generated by the environment. In other words, THz radiation is nearly impossible to pick out from all the background thermal energy radiating at all frequencies.

C. TERAHERTZ SOURCES

To date, several THz sources are available for imaging applications using external illumination [8-10]. These include photomixer technologies, Schottky multipliers, free electron lasers and quantum cascade lasers. Photomixers with a femtosecond pulsed laser illuminate low temperature-
grown gallium arsenide (GaAs) but can only generate broadband THz radiation [9]. Free electron lasers provide wavelength tenability but require large, bulky equipment [10]. Quantum cascade lasers (QCL) emit coherent THz radiation at a narrow bandwidth but need significant cooling in order to lase. The various approaches in generating THz radiation are summarized in Figure 2 [8]. This research uses QCLs to generate THz radiation.

![Diagram of THz radiation approaches](image)

**Figure 2.** Approaches used to generate THz radiation (From [8]).

**D. TERAHERTZ DETECTORS**

Detectors designed specifically for imaging in THz have already been demonstrated. Typically these systems are expensive and in some cases require cooling to below 77K. In order to apply THz imaging to everyday life, detectors must become portable, easier to use, cheaper, and uncooled. As semiconductor technology improves, a system capable of achieving all these milestones now exists. Uncooled microbolometers are already being fabricated for
near and mid-infrared imaging [11]. This research demonstrates the ability of an uncooled microbolometer with THz compatible optics to image THz radiation.
II. THEORETICAL BACKGROUND

The aim of the following sections is to derive an expression for the Noise Equivalent Temperature Difference (NETD) for the uncooled camera in THz wavelengths. This analysis requires the total background THz power as a function of the cut-off frequency. The NETD analysis was not completed due to time constraints associated with making the laser operational.

A. BLACKBODY RADIATION

A blackbody is any piece of matter which absorbs all wavelengths of light, thus making it appear completely black. The thermal radiation emitted by such an object is known as “blackbody radiation.” This radiation obeys Planck’s radiation law [12] and can be written in terms of frequency and temperature as follows:

\[
P(\nu,T) = \frac{2\pi h \nu^3}{c^2} \frac{1}{e^{h\nu/kT} - 1},
\]

where \( h \) is the Planck constant \((6.64 \times 10^{-34} \text{ Js})\), \( \nu \) is the frequency of radiated light, \( c \) is the speed of light in a vacuum \((3 \times 10^8 \text{ m/s})\), \( k \) is the Boltzmann constant \((1.38 \times 10^{-23} \text{ J/K})\), and \( T \) is the temperature in Kelvin. Equation 2.1 can be simplified by observing that photon energies up to 5 THz \((0.021 \text{ eV})\) are less than \( kT \) at room temperature \((0.026 \text{ eV})\):

\[
\nu = (6.63 \times 10^{-34} \text{ Js})(3.4 \times 10^{12} \text{ Hz}) = 2.45 \times 10^{-21} \text{ J}
\]

\( h \nu < kT \)

Applying a Taylor expansion to the exponential in Equation 2.1 gives:

\[
\exp(h\nu/kT) - 1 \sim h\nu/kT
\]
where higher order terms contribute little to the overall value of the equation and are consequently dropped. Equation 2.1 then becomes:

\[ P(\nu, T) = \frac{2\pi k T \nu^2}{c^2}. \quad (2.2) \]

Equation 2.2 gives the power emitted per unit area per unit frequency interval. In order to get the total THz power per unit area, frequency is taken out of the equation by integrating over the THz frequency domain \((0, \nu_c)\):

\[ P(T) = \int_0^\nu \frac{2\pi k T \nu^2}{c^2} d\nu = \frac{2\pi k T}{3c^2} \nu_c^3. \quad (2.3) \]

Using the approximation given by equation 2.3 allows the exitance to be easily calculated and graphed in Figure (3).

![Figure 3. Power emitted as a function of THz frequency using Equation 2.3 at 300K.](image)
Before accepting data provided from the approximation above, the actual value of \( P(T) \) is calculated by numerically integrating equation 2.1 over the same frequency domain as follows:

\[
P(T) = dV \sum_{v=sd_2} \frac{2\pi \ln^3}{c^2} \frac{1}{e^{\frac{\hbar v}{kT}} - 1}.
\]  

(2.4)

where \( dV \) was taken to be \( 1 \times 10^8 \) Hz. The results of equation 2.4 are depicted in Figure 4.

Figure 4. Power emitted as a function of THz frequency using Equation 2.4 at 300K.
Next, equations 2.3 and 2.4 are graphed together with power on the vertical axis and temperature on the horizontal axis in order to determine whether the approximation agrees:
Figure 6. Comparison of power emitted using Equations 2.3 and 2.4.

It is easily seen in Figure 6 that the estimated power using the two equations at 300 K are approximately the same.

It has been determined above that equations 2.3 and 2.4 yield approximately the same result at room temperature and above. Figure 5 shows the blackbody radiation curve at 300K. Using equation 2.4, the area under the curve is found by summing all the P(T)s and multiplying by a small step, $d\nu = 1\times10^8$ Hz. The area under the curve is found to be:

$$P(T) = 45.7 \text{ mW/cm}^2.$$
The numerical integration can be verified using the Stefan-Boltzmann law [13]:

\[ P(T) = \sigma T^4 \]  \hspace{1cm} (2.5)

The total energy radiated per unit surface area for a blackbody is calculated using equation 2.5. At 300K (background temperature), equation 2.6 gives:

\[ P(T) = 45.9 \text{mW/cm}^2 \]

The two values from equations 2.4 and 2.5 agree to within one percent. The value yielded demonstrates that the terahertz power in the 1-5 THz range is much weaker compared to the total background radiation power, making passive detection nearly impossible using uncooled thermal sensors. However, passive detection has been achieved using liquid helium cooled superconducting microbolometer sensors [24]. Therefore, for an uncooled thermal sensor, an external THz source is needed to enhance the signal-to-noise ratio. This research uses a quantum cascade laser and uncooled microbolometer for these purposes. Both are discussed in detail in the following sections.

B. MICROBOLOMETER OPERATION

This research utilizes an uncooled, silicon nitride and vanadium oxide (VO\textsubscript{x}) microbolometer camera, the IR-160 Thermal Imager, in THz imaging. Its original wavelength band is 8-14 \(\mu m\) (infrared). It has a 160x120 pixel focal plane array and a sensitivity of under 60mK with its f/1 germanium lens [15].
The structure of the microbolometer pixel consists of a silicon nitride and VO$_x$ layer suspended over and connected to the substrate by two narrow legs. The legs serve to reduce thermal conductance (see Figure 8). The microbolometer senses minute temperature changes through two resistors of different resistance. Radiation incident on the detector causes a temperature increase. This temperature change causes a change in the electrical resistance of the VO$_x$ film, which is measured by an external circuit.
A microbolometer’s thermal sensor can be understood using Figure 9.

\[
P = \frac{d}{dt} C(\Delta T + T) + G\Delta T ,
\]

(2.6)
where \( P \) is the incident power provided by an infrared source, \( C \) is the heat capacity of the sensor, \( \Delta T \) is the temperature change, \( T \) is the ambient temperature, and \( G \) is the heat conductance. In the steady state case, there is no temperature change, i.e., \( \frac{d}{dt}(\Delta T + T) = 0 \), and equation 2.6 becomes:

\[
\Delta T = \frac{P}{G}.
\]  

(2.7)

For systems designed to sense temperature changes, it is desired to have a large \( \Delta T \). It is evident from equation 2.7 that this is accomplished by reducing \( G \) and making the arm between the heat sink and sensor as narrow and long as possible. This “solution” has a considerable tradeoff which is analyzed next.

The next case to analyze is when the light (P) incident on the sensor is turned off. Equation 2.6 becomes:

\[
\frac{d}{dt}(C\Delta T) + G\Delta T = 0.
\]  

(2.8)

Equation 2.8 is rearranged and solved for \( \Delta T \):

\[
\frac{d\Delta T}{\Delta T} = -\frac{G}{C} dt,
\]  

(2.9)

\[
\Delta T = \Delta T_{ss} e^{-\frac{t}{\tau}} = \Delta T_{ss} e^{-\frac{t}{C/G}},
\]  

(2.10)

where \( \tau = \frac{C}{G} \) is the response time of the bolometer and \( T_{ss} \) is the value of \( \Delta T \) at \( t=0 \). Fast response times are desired in detectors. This is generally not possible because as mentioned earlier equation 2.7 requires a small \( G \); however, equation 2.10 explicitly shows that smaller \( G \)
slows the detector’s response time. Therefore, $G$ is maximized to provide the best $\Delta T$ while providing the fastest possible response time. The microbolometer pixels used in this research have a response time of $\tau \approx 12 \text{ms}$ [15].

The final condition to analyze is when the incident power is time dependent, $P = P_o e^{j\omega t}$. Equation 2.6 becomes:

$$P e^{j\omega t} = C \frac{d\Delta T}{dt} + G \Delta T.$$  \hfill (2.11)

The steady state solution to this equation is given by [12]:

$$\Delta T = \frac{P e^{j\omega t}}{\sqrt{G^2 + \omega^2 C^2 e^{j\omega t}}} = \frac{P e^{j(\omega t - \theta)}}{G(1 + \omega^2 \tau^2)^{1/2}}.$$ \hfill (2.12)

where the $e^{-\beta}$ term is the phase lag of $\Delta T$ behind $P_o$. As the frequency is increased, the phase lag continues to decrease. The amount of temperature change as a function of temperature is given by:

$$|\Delta T| = \frac{P}{G(1 + \omega^2 \tau^2)^{1/2}}.$$ \hfill (2.13)

As a function of frequency, $|\Delta T|$ rolls off with a 3 dB cutoff frequency at $1/(2\pi \tau)$. A typical microbolometer detector (with thermal time constant of about 5 ms) gives a cutoff frequency of about 30 Hz.

C. QUANTUM CASCADE LASER

In this research, a 3.4 THz quantum cascade laser (QCL) was used. Specifically, the laser was a bound-to-continuum design fabricated by the Jerome Faist group at the University of Neuchatel, Switzerland and was provided to us by Danielle Chamberlin and Peter Robrish at Agilent.
Laboratories in Santa Clara. QCLs are constructed so that the active region is layered with several thin-layer materials [17-18].

1. **Solid-state Diode Laser Compared to QC Laser**

Figure 10 shows the layer structure and operation contrast between a quantum well based diode and QCL [16].

![Diode Laser and QC Laser Diagram](image)

Diode lasers have only one material in the active region which effectively splits the available energy into valence bands heavily populated by holes and conduction bands populated with electrons. Such a population inversion is achieved either by electrical or optical pumping [17]. A photon is then introduced with the specific energy of the bandgap and an electron from the conduction band is dropped to the valence band creating a photon which is identical to the incident photon (stimulated emission). This process continues to produce an amplified light beam from the diode.

In a quantum cascade laser, the aforementioned layers create three subbands within the conduction band as seen in Figure 11 under an external bias. The upper subband is
injected with electrons and subbands between adjacent active regions are aligned during operation as illustrated in Figure 11. In this case, one electron can tunnel through the adjacent active regions creating a photon each time it travels through them. The advantage in using a QCL is one electron can emit several photons and increase the optical output power many times over compared to the diode laser.

The energy separation between the first two energy states in an active region is usually made to be resonant with optical phonon energy to enhance the depopulation rate. This reduces the pumping current needed to maintain the population inversion between the 2nd and 3rd states of each active region.

![Conduction band structure for QCL](image)

Figure 11. Conduction band structure for QCL (After [19]).
2. **3.4 THz QCL Operation**

Experiments in this research were made using a 3.4 THz laser with a 200\(\mu\)m by 14\(\mu\)m active region as seen in Figure 12. The laser operates at high currents and voltages to overcome the relatively small non-radiative lifetime (~1 ps) for achieving population inversion. It has a substrate of semi-insulating (SI) Gallium-Arsenide (SI-GaAs), followed by a layer of n-doped GaAs. In the area labeled “MQW” in Figure 12, over 100 layers of GaAs and AlGaAs are present to create a multiple quantum well active region. The details of the design can be found in Ref. [20].

![Figure 12. Schematic of 3.4 THz laser (After [20]).](image)

Due to the small energy level separations involved, THz QCLs usually operate in pulsed mode with temperatures below 50 K. The typical electrical pulses used are several hundreds of nanoseconds wide with a duty cycle of less than 10%, to avoid excessive heating of the active region. One of the most important parameters is the impedance of the laser under operating conditions. This is obtained using
the low temperature I-V characteristics of the laser. The
details of the I-V measurement will be presented in the
next chapter.
III. EXPERIMENTAL SET-UP

A. LASER HOLDER

The laser holder used in this research was designed by Agilent Laboratories. It is made of copper, which transfers heat quickly from the laser. Exact replication was essential to fit the QCL, a parabolic mirror, and flat mirror so that the optics maximize the power output QCL beam. Figure 13 depicts the laser holder and Figure 14 shows a size comparison for the laser, laser holder with parabolic mirror compared to a quarter.

Figure 13. Laser holder with parabolic mirror.
Figure 14. Laser and laser holder size comparison with quarter.

B. OPTICS

The optics designed for the laser holder included an 8mm x 8mm flat, gold plated mirror and a 90° off-axis, 1 inch diameter, parabolic mirror, also gold plated. The parabolic mirror was attached to the laser holder with two screws. The flat mirror was attached to the holder with epoxy. Figures 15 and 16 depict the optics layout and resulting beam from the laser.
C. QCL

The QCL described in Chapter II was mounted first on a metal strip and then onto the laser holder using two small screws. It was then connected to ground and power wires were attached to the laser holder as shown in Figure 16.
The metal strip contains two lasers which can be distinguished in Figure 18. The smaller one is $100\mu m$ wide by $14\mu m$ deep and the larger one, which was actually used in the experiments, is $200\mu m$ wide by $14\mu m$ deep (see Figure 18).

Figure 17. 3.4 THz Laser, pads, and metal holder.
D. LASER COOLING SETUP

A closed-cycle refrigerator (seen in Figure 19) from Janis was used to cool the laser system to 10K. The cryodyne system uses helium as refrigerant; evacuating air from the chamber surrounding the cold head (where the laser is housed) is needed before operation [21].

Immediately behind the laser holder connection to the cooler is the thermal sensor (see Figure 16). The system requires approximately two hours to cool down before operation of the laser can commence. The system temperature is continuously monitored at the LakeShore 321 Autotuning Temperature Controller (Figure 20).
Figure 19. Closed cycle refrigerator head where laser is housed.

Figure 20. LakeShore 312 Autotuning Temperature Controller set to 10K.

E. PICARIN WINDOW AND CAMERA LENS

A picarin window and camera lens was used in this research because of the high THz frequency transmission. Using a Fourier transform infrared spectrometer (FTIR), the picarin window was analyzed to determine its transmission compared to the manufacture’s specifications. Figures 21 and 22 compare the two transmission spectra and show good agreement. Figure 23 depicts the picarin lens used on the microbolometer camera for imaging the THz beam from the laser.
Figure 21. Manufacturer’s data depicting percent THz transmitted through picarin window. (From [18])

Figure 22. THz transmission through picarin measured with FTIR.
D. PULSED POWER TO THE LASER

The operation of the laser requires electrical pulses of about 500 ns wide with a 100 kHz repetition rate. The QCL is a monopolar device and has about $3.47\Omega$ impedance at its operating point as given in Reference [20]. The pulse generator and the cables have impedance of 50 $\Omega$ and require impedance matching to deliver the high current pulses to the laser. This was achieved by fabricating a step-down transformer. By selecting the number of turns of primary and secondary coils, the two impedances were matched as shown below. The transfer characteristics of the transformer give:

\[
V_{in} = I_{in}Z_{in} \tag{3.1}
\]

\[
V_{out} = I_{out}Z_{out} \tag{3.2}
\]

\[
V_{in}I_{in} = V_{out}I_{out} \tag{3.3}
\]
\[ I_{in}N_{in} = I_{out}N_{out} \]  \hspace{1cm} (3.4)

\[ \frac{I_{in}}{I_{out}} = \frac{N_{out}}{N_{in}} \]  \hspace{1cm} (3.5)

where \( Z_{in} \) is the input impedance of 50Ω, \( Z_{out} \) is the laser impedance of 3.47Ω, \( V \) is voltage, \( I \) is current, and \( N \) is the number of turns on the transformer. Next, equations 3.1 and 3.2 are substituted into equation 3.3 for \( V \):

\[ (Z_{in}I_{in})I_{in} = (Z_{out}I_{out})I_{out} \]  \hspace{1cm} (3.6)

\[ Z_{in}I_{in}^2 = Z_{out}I_{out}^2. \]  \hspace{1cm} (3.7)

Equation 3.7 is solved for \( Z_{out} \):

\[ Z_{out} = Z_{in}\left(\frac{I_{in}}{I_{out}}\right)^2. \]  \hspace{1cm} (3.8)

Finally, equation 3.8 is modified to include the number of turns:

\[ Z_{out} = Z_{in}\left(\frac{N_{out}}{N_{in}}\right)^2. \]  \hspace{1cm} (3.9)

Plugging in the appropriate numbers for Z yields a squared turn ratio of \( \left(\frac{N_{out}}{N_{in}}\right)^2 \) to be approximately 0.26. For this experiment, a transformer from a computer power supply with slight modifications to the number of turns to the secondary coil was used. Appendix B describes the procedure and data (Table 2) used to construct the correct turn ratio.

**F. STEP-DOWN TRANSFORMER**

The above analysis yielded a squared ratio of turns equal to 0.28 to match the impedances. This translates into approximately a 2:1 ratio of voltage and 1:2 ratio of
current. The input voltage was twice as large as the output voltage and the input current was half as large as the output current. The current through the laser was measured with a Pearson Current Monitor [23].

The current monitor measures the change in flux of the magnetic field and converts it to a voltage. Using the conversion factor specific to the monitor of 0.1V=1A, the output current is easily measured. Figure 24 depicts the transformer as well as the current measurement device.

![Transformer and current monitor](image)

**Figure 24.** Transformer and current monitor.

**G. PULSE GENERATOR AND OSCILLOSCOPE**

The pulse generator used in this experiment was an Agilent 8114A 100V/2A Programmable Pulse Generator, which is depicted in Figure 25. The oscilloscope used to monitor the input and output pulses was the Agilent Infiniium Oscilloscope as shown in Figure 26.
Figure 25. Pulse Generator.

Figure 26. Oscilloscope.
IV. EXPERIMENTAL PROCEDURE

The laser holder was assembled with the parabolic mirror, flat mirror, and laser. This assembly was mounted on the cold head of the cryogenic cooler. The resistance of the laser was measured using a Fluke multimeter and found to be about $7.2\Omega$ at room temperature. The vacuum pump was activated to remove the air in the shroud and the cooler was started.

The cryogenic cooler requires at least two hours to cool the assembly down to 10K. The temperature sensor was monitored the entire time, and when it read 10K the resistance of the electrical circuit was again measured. This is necessary because the thermal sensor does not lie on top of the laser. Once the Fluke meter had stopped changing (resistance was a stable value of $0.1M\Omega$), the temperature at the laser was approximately 10K.

The microbolometer infrared camera was placed approximately six inches from the cold head window. Its germanium optics were removed and replaced with the picarin lens. The camera’s RF output was connected to a computer using a framegrabber (Video Capture Essentials) to record the laser beam.

Next, the pulse generator and oscilloscope were activated. The pulse generator was checked to ensure the correct pulse parameters were set. The laser was pulsed with a square wave whose frequency was 100 kHz. The pulse width was 500 ns and duty cycle was 5%. The pulse had a negative slope (top contact to the laser being positive) and was driven between 100 mA to 1 A. It was observed that
the temperature of the cold head was increased from 10K to about 20K when the pulse generator was turned on. This was primarily due to the dissipation of about 10W of peak power or 0.5 W of average power during the operation. The output pulse settings are summarized in Table 1. The input current, output current, temperature, and images were recorded. Figure 27 depicts the overall equipment set-up.

Table 1. Pulse generator output settings.
V. RESULTS AND RECOMMENDATIONS

A. CURRENT AND SIGNAL OUTPUT

The input signal described in Chapter IV ran from the power generator through the step-down transformer. The current through the laser and output voltage of the transformer were both monitored and recorded and are shown in Figures 28 and 29, respectively.

Figure 28. Current as a function of time in steps of 50 mA through laser.
Figure 29. Voltage across the output of the transformer.

It can be seen that the output voltage oscillates at the edges of the pulse primarily due to the inductance of the ferrite core, transformer coupled with the cable capacitance and impedance of the pulse generator. Further refinement of the electrical circuit is needed to minimize such ringing. However, a major portion of the pulse is relatively flat. The ringing was not seen in the current traces in Figure 28 due to the integrating done with the current monitor. The data in Figures 28 and 29 were used to generate the I-V characteristics of the laser at the operating temperature of about 10K as depicted in Figure 30.
Figure 30. I-V Characteristics for 3.4 THz laser for input current greater than 100 mA. The blue circle represents the current range over which the laser lased.

B. IMAGES OF LASER BEAM

The input electrical pulses of 1 A and 10 V along with a cryogenic cooler temperature of approximately 20K produced THz rays that were captured by the microbolometer. The following pictures were captured with Video Capture Essentials software.
1.5 A, 9 V

1.0 A, 7 V

750 mA, 6.5 V

Figure 31. Three images of THz radiation captured by microbolometer.

The image of the THz beam is approximately 20mm x 5mm. It is not circle in shape due to the multimode nature of the laser emission.

It was observed that the laser power reduces with the number of electrical pulses due to heating of the active region of the laser. As mentioned before, the use of high current and voltage pulses generate about 10 W of peak power. In addition, the laser power is strongly dependent on the pulse current as illustrated by the images in Figure 31. As expected, the THz light was transmitted through clear plastics (see Figure 32).
In summary, during the course of this project a cryogenically cooled quantum cascade laser operating in THz frequencies was successfully implemented. The output of the laser was imaged using an uncooled microbolometer infrared camera fitted with a picarin lens, which has a good transmission in THz frequencies. The initial results indicate that such a setup can be used for real-time imaging in the THz spectrum.

C. FUTURE WORK RECOMMENDATIONS

The following are recommendations for future work in the field of terahertz imaging using a QCL and uncooled microbolometer camera.

It is easily demonstrated that the beam output power decays with the increase in temperature at the lasing site. In order to have a stronger signal sent to the camera, the output power of the QCL must be enhanced. One recommendation is to place a cold shield around the laser inside the vacuum shroud. More research needs to be completed in this area to maximize the removal of heat generated by the laser during the operation.
The second recommendation for future work is to optimize the light collection optics. The beam output is not perfectly collimated. Work on correcting this involves the use of a thinner flat mirror or modification of the flat mirror holder to improve the collimation.

Finally, research into characterizing the microbolometer camera’s operation in other THz wavelengths needs to be completed. The NETD analysis was started in Chapter III but needs to be completed. The ultimate goal of research in this field is to design an uncooled microbolometer for THz imaging that is portable, cheap, and effective. This last research recommendation is fundamental in achieving that goal.
APPENDIX A.

A. MATLAB PROGRAM FOR PLANCK BLACKBODY RADIATION LAW APPROXIMATION

```matlab
nu=1e12:1e10:1e12
k=1.38e-23
T=300
c=3e8
h=6.63e-34
dnu=1e12

p=(2*pi*k*T*nu.^2)/(c^2);
figure (1), clf
plot (nu, p)
axis([1e12 5e12 0 5e-12])
xlabel ('Frequency (Hertz)')
ylabel ('Power (Watts)')
title ('Power Emitted Per Unit Area Per Unit Frequency Interval')
```

B. MATLAB PROGRAM FOR PLANCK BLACKBODY RADIATION LAW

```matlab
nu=1e12:1e8:8e13
h=6.63E-34
k=1.38E-23
T=300
c=3E8
dnu=1e8

A=((2*pi*h).*nu.^3)/(c^2)
B=(exp((h.*nu.)/(k*T))-1)
P=A/B
B=sum(B)*dnu

figure (1)
plot (nu, p)
xlabel ('Frequency (Hertz)')
ylabel ('Power (Watts)')
title ('Power Emitted Per Unit Area Per Unit Frequency Interval')
```

C. MATLAB PROGRAM FOR COMPARISON OF EQUATION 2.1 AND EQUATION 2.4

```matlab
h=6.63E-34
k=1.38E-23
c=3E8
dnu=1e8
nu=1e10:dnu:5e12
sigma=5.67e-8
for n=1:31
n=(2*pi*h).*nu.^(3)/(c^2)
B=(exp((h.*nu.)/(k*T(n))))-1
p=1e^-4*(A.s(n))
B(n)=sum(B)*dnu
end

B2=(2*pi*k*T^2*nu.^(3)*1e-4)/(3*c^2)

figure (1)
hold on
plot (T, B)
plot (T, B2, '-'
axis([100 400 0 1.8E-3])
xlabel ('Temperature (K)')
ylabel ('Power (W/cm^2)')
title ('P(T)')
hold off
```
APPENDIX B.

A. PROCEDURE FOR OBTAINING CORRECT TURN RATIO ON TRANSFORMER

The transformer used contained five wires wrapped around a toroid. The turn ratio of all possible combinations was found by measuring the input and output voltages (in mV). Using the relationships in equations 3.8 and 3.9, the voltage is related to the turn ratio. From there the number is squared. This is the desired number. Table 2 lists the data taken.

<table>
<thead>
<tr>
<th>Wire (out)</th>
<th>Wire (in)</th>
<th>$\frac{V_{\text{out}}}{V_{\text{in}}} = \frac{N_{\text{out}}}{N_{\text{in}}}$</th>
<th>Squared Number</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>2</td>
<td>$\frac{100}{40}=2.5$</td>
<td>6.25</td>
</tr>
<tr>
<td>1</td>
<td>3</td>
<td>$\frac{100}{40}=2.5$</td>
<td>6.25</td>
</tr>
<tr>
<td>1</td>
<td>4</td>
<td>$\frac{100}{40}=2.5$</td>
<td>6.25</td>
</tr>
<tr>
<td>1</td>
<td>5</td>
<td>$\frac{200}{170}=1.18$</td>
<td>1.38</td>
</tr>
<tr>
<td>2</td>
<td>1</td>
<td>$\frac{250}{100}=2.5$</td>
<td>6.25</td>
</tr>
<tr>
<td>2</td>
<td>3</td>
<td>$\frac{1}{1}$</td>
<td>1</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>$\frac{1}{1}$</td>
<td>1</td>
</tr>
<tr>
<td>2</td>
<td>5</td>
<td>$\frac{90}{170}=0.53$</td>
<td>0.28</td>
</tr>
<tr>
<td>3</td>
<td>1</td>
<td>$\frac{250}{100}=2.5$</td>
<td>6.25</td>
</tr>
<tr>
<td>3</td>
<td>2</td>
<td>$\frac{1}{1}$</td>
<td>1</td>
</tr>
<tr>
<td>3</td>
<td>4</td>
<td>$\frac{1}{1}$</td>
<td>1</td>
</tr>
<tr>
<td>3</td>
<td>5</td>
<td>$\frac{81}{170}=0.476$</td>
<td>0.23</td>
</tr>
<tr>
<td>4</td>
<td>1</td>
<td>$\frac{100}{260}=0.385$</td>
<td>0.148</td>
</tr>
<tr>
<td>Wire (out)</td>
<td>Wire (in)</td>
<td>$\frac{V_{out}}{V_{in}} = \frac{N_{out}}{N_{in}}$</td>
<td>Squared Number</td>
</tr>
<tr>
<td>-----------</td>
<td>-----------</td>
<td>-----------------------------------------------</td>
<td>----------------</td>
</tr>
<tr>
<td>4</td>
<td>2</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>4</td>
<td>3</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>4</td>
<td>5</td>
<td>$\frac{90}{173} = 0.52$</td>
<td>0.27</td>
</tr>
<tr>
<td>5</td>
<td>1</td>
<td>$\frac{210}{260} = 0.808$</td>
<td>0.65</td>
</tr>
<tr>
<td>5</td>
<td>2</td>
<td>$\frac{82}{41} = 2$</td>
<td>4</td>
</tr>
<tr>
<td>5</td>
<td>3</td>
<td>$\frac{78}{37} = 2.1$</td>
<td>4.44</td>
</tr>
<tr>
<td>5</td>
<td>4</td>
<td>$\frac{81}{40} = 2$</td>
<td>4</td>
</tr>
</tbody>
</table>

Table 2. Transformer Data to determine squared turn ratio.

Applying the data from Table 2, wires four and five were kept on the transformer and all others were removed.
LIST OF REFERENCES


INITIAL DISTRIBUTION LIST

1. Defense Technical Information Center
   Ft. Belvoir, Virginia

2. Dudley Knox Library
   Naval Postgraduate School
   Monterey, California

3. Professor Gamani Karunasiri
   Naval Postgraduate School
   Monterey, California

4. Professor Nancy Haegel
   Naval Postgraduate School
   Monterey, California

5. Professor James Luscombe
   Naval Postgraduate School
   Monterey, California