

# Scaling observation error for optimal assimilation of CCI SST data into a regional HYCOM EnOI system

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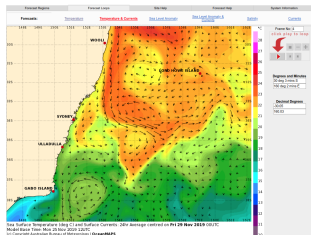
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- Ongoing efforts to create oceanographic operational and decision making products in South Africa
- This research builds on efforts towards an operational ocean forecasting system for the South African region
- Forecasting of currents, temperature, salinity
- Many will benefit from this system, including other operational and decision making tools



**Figure:** Australia's OceanMAPS operational ocean forecasting system.



# Hybrid Coordinate Ocean Model (HYCOM)

- Regional model developed by Backeberg et al. (2014)
- Resolution:  $1/10^\circ$
- Domain:  $0-60^\circ\text{E}$ ,  $10-50^\circ\text{S}$ .
- ERA-interim atmospheric forcing
- 30 vertical layers
- Nested in basin-scale model of Indian and Southern Oceans (George et al. 2010)

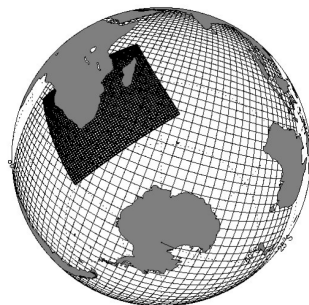


Figure: Nested and basin-scale model domains.



# Climate Change Initiative (CCI) SSTs

- L4 global reanalysis SST product, produced by ESA
- Synthesis of (A)ATSR, SLSTR and AVHRR observations
- 0.05° resolution
- Adjusted to 20 cm depth
- Version 2.0

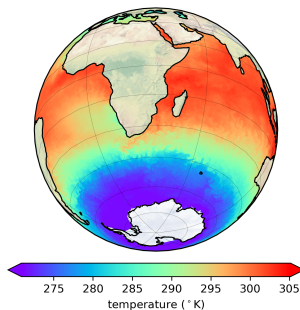


Figure: CCI L4 SST.



# Ensemble Optimal Interpolation (EnOI) scheme

- Ensemble optimal interpolation (EnOI, Oke et al. 2002)
- Less computationally expensive than Monte Carlo simulations such as Ensemble Kalman Filter (EnKF)
- EnKF generates an ensemble of model states from which a single forecast is created
- EnOI generates a single forecast from a static ensemble of model states



# Analysis equation

- From the forecast ( $\psi^f$ ), the analysis ( $\psi^a$ ) is calculated as:

## Analysis equation

$$\psi^a = \psi^f + \alpha \mathbf{A}' \mathbf{A}'^T \mathbf{H}^T \left( \alpha \mathbf{H} \mathbf{A}' \mathbf{A}'^T \mathbf{H}^T + \mathbf{T} \mathbf{T}^T \right)^{-1} \left( \mathbf{d} - \mathbf{H} \psi^f \right) \quad (1)$$

- $\mathbf{T} \mathbf{T}^T$  is the observation error term
- $\alpha$  is the scaling factor



# Inflating observation errors

- From Equation 1, observation error ( $\mathbf{TT}^T$ ) is 'inflated' by scaling factor ( $\alpha$ ) yielding inflated observation error ( $\mathbf{R}_\alpha$ ):

## Inflating observation error

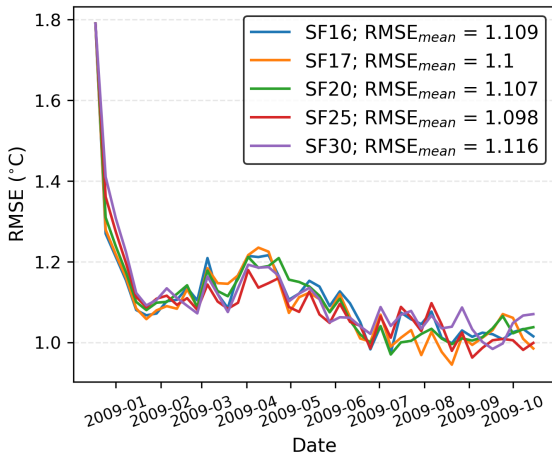
$$\mathbf{R}_\alpha = \frac{1}{\alpha} \mathbf{TT}^T \quad (2)$$

- Larger (smaller) scaling factor results in weaker (stronger) model fit to observations
- N.B. process in assimilation systems



Root mean square error

# SST RMSE between model and observations



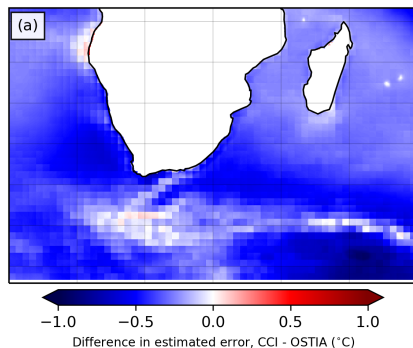
- Aim for lowest mean RMSE without model crash
- Values below 16 all crashed
- Best result: scaling factor 25 (RMSE<sub>mean</sub> = 1.098°C)
- OSTIA used scaling factor of 5 (Rapeti & Backeberg 2016)



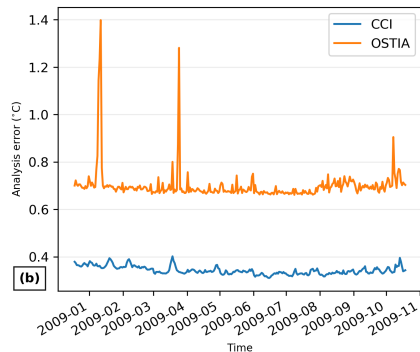


Root mean square error

# Error difference between CCI & OSTIA



**Figure:** Spatial mean difference in estimated error.



**Figure:** Difference in estimated error over time.



## Introducing a 'floor'

- Postulating error estimation to perhaps be overconfident
- Introduce minimum threshold ( $\mathbf{R}_{\text{floor}}$ ) for observation errors:

### Observation error floor

$$\mathbf{R}_{\alpha} = \max\{\mathbf{R}_{\text{floor}}, \mathbf{R}_{\alpha}\}, \quad (3)$$

where

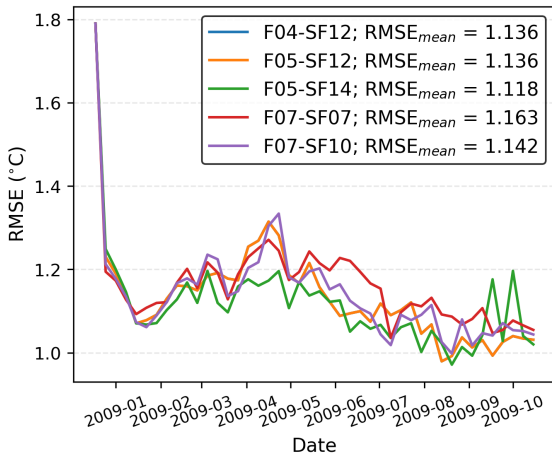
$$\mathbf{R}_{\alpha} = \frac{1}{\alpha} \mathbf{T} \mathbf{T}^{\top} \quad (2)$$

- Floor values of 0.4°C, 0.5°C, and 0.7°C were tested



'Floored' RMSE

# Floor results



- Smallest successful scaling factors shown
- Best result: scaling factor 14 with floor of  $0.5^{\circ}\text{C}$
- However, still not improving on 'unfloored' scaling factor of 25 ( $RMSE_{mean} = 1.098^{\circ}\text{C}$ )



# Conclusion

- Scaling factor less than 16 resulted in model failure
- Introducing a floor to the observation errors produced no improvement
- Best result: scaling factor of 25 ( $\text{RMSE}_{\text{mean}} = 1.098^{\circ}\text{C}$ )



## Future work

- These results form part of a larger research project
- Compare assimilation of L4 and along-track SSTs in this region
- Determine best method to assimilate SST observations
- CCI will be assimilated using scaling factor of 25

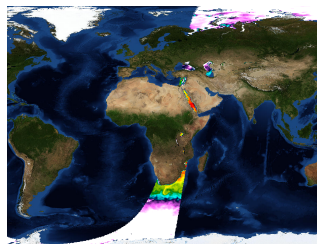






Figure: Along-track microwave SST observations.



# Thank you!



# References

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