Unit Hydrograph Modeling using Geomorphological Instantaneous Unit Hydrograph (GIUH) Method

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ABSTRACT

Flood forecasting at Wonogiri Reservoir is restricted on the availability of hydrologic data due to limited monitoring gauges. This issue triggers study of unit hydrograph modeling using Geomorphological Instantaneous Unit Hydrograph (GIUH) which is based on Geographic Information System (GIS). Analysis of physical watershed parameters was conducted on Digital Elevation Model (DEM) data using software Watershed Modeling System (WMS) 10.1 and ArcGIS. Nash model and S-curve method were used to process triangular GIUH into hourly Instantaneous Unit Hydrograph (IUH) and Unit Hydrograph (UH) and then was compared with the observed UH of Collins method. A sensitivity analysis was conducted on parameter of R_L and Nash-model k. Evaluation of accuracy of the simulated GIUH runoff hydrograph was also conducted. The GIUH model generated UH with smaller peak discharge Q_p, also slower and longer of t_p and t_b values than the observed UH. Accuracy test of the simulated GIUH runoff hydrograph using Nash-Sutcliffe Efficiency (NSE) shows that Keduang watershed gives a satisfying result, while Wiroko watershed gives less satisfactory result. The inaccuracies occur due to limited flood events used to derive the observed UH and stream tributaries that were not properly modeled based on Strahler method.

Keywords: Unit hydrograph, Instantaneous Unit Hydrograph, GIUH, Nash model.

1 INTRODUCTION

One of the operational purposes of Wonogiri Reservoir is for flood control. However, flood forecasting based on unit hydrograph is still restricted on the availability of hydrologic data due to the limitation of monitoring gauges in watersheds. This issue triggers study of unit hydrograph modeling using Geomorphological Instantaneous Unit Hydrograph (GIUH) method based on the characteristics of physical watershed parameters. Recently, Geographic Information System (GIS) has been widely applied to estimate spatial parameters of watershed for hydrologic modeling purpose.

This study aimed to determine physical parameter and to derive unit hydrograph from the selected watersheds in the catchment area of Wonogiri Reservoir using GIUH method by applying GIS approach in determining the geomorphological characteristics of watershed parameters. This study examined the accuracy of the obtained unit hydrograph and flood hydrograph derived from the model.

This study was conducted at the catchment area of Wonogiri Reservoir located in Wonogiri Regency, Central Java Province, Indonesia. The derivation of watershed geomorphological parameters was performed on Digital Elevation Model (DEM) data using ArcGIS and Watershed Modeling System (WMS) software.

2 LITERATURE REVIEW

2.1 Catchment Area of Wonogiri Reservoir

Wonogiri Reservoir has a total catchment area of about 1,343 km² and consists of 10 watersheds. Keduang watershed with an approximate area of 397.36 km² is the largest watershed, while Wiroko is the second one with an approximate area of 216.95 km² (Oktavia, 2013). Besides, there are four Automatic Water Level Recorder (AWLR) stations in the catchment area of

Wonogiri Reservoir which are managed by Perum Jasa Tirta I installed in Keduang, Kali Tirtomoyo, Kali Temon, and Bengawan Solo Hulu Rivers.

2.2 Unit Hydrograph (UH)

Unit hydrograph is defined as direct runoff hydrograph at the outlet of watershed generated by 1 mm of effective rainfall occurring uniformly over the catchment area with constant intensity for a specific duration (Chow et al., 1988).

2.3 Instantaneous Unit Hydrograph

When the duration of effective rainfall is infinitesimal, the resulting hydrograph is an impulse response function namely Instantaneous Unit Hydrograph (IUH) (Rodriguez-Iturbe and Valdes, 1979 in Chow et al., 1988). Response from the complete input of $I(r)$ is a direct runoff $Q(t)$ which is stated in this convolution integral (Chow dkk., 1988) as shown in Equation (1).

$$Q_{(t)} = \int_0^t I(r)\, u(t-r)\, dr \qquad (1)$$

2.4 GIUH

GIUH is defined as a probability density function of a drop's travel time in a basin. This theory is introduced by Rodriguez-Iturbe and Valdes (1979) and then is enhanced by Gupta (1980) (Quan, 2006). Figure 1 illustrates the relation between hydrograph and topographic factors (Derbyshire, et al., 1981 in Quan, 2006).
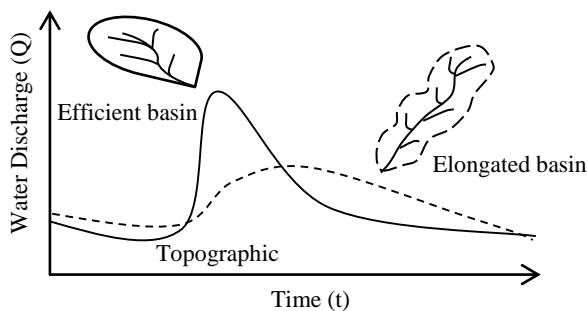

Figure 1. Relation between hydrograph and topographic factors (Derbyshire, et al., 1981 in Quan, 2006).

Rodriguez-Iturbe and Valdes (1979), in Quan (2006) assume an Instantaneous Unit Hydrograph (IUH) as a triangular that consists of peak discharge and time to peak which is formulated in Equation (2), (3), and (4) as follows.

$$q_p = \frac{1.31 \times R_L{}^{0.43} \times V}{L_\Omega} \qquad (2)$$

$$t_p = 0.44 \times \frac{L_\Omega}{V} \times \left(\frac{R_B}{R_A}\right)^{0.55} \times R_L{}^{-0.38} \qquad (3)$$

$$t_b = \frac{2}{q_p} \qquad (4)$$

with: q_p is peak discharge (hour^{-1}); t_p, t_b are time to peak (hour) and base time (hour), L_Ω is length of the highest order stream (km), V is dynamic parameter velocity (m/s), and R_A, R_B, R_L are stream-area ratio, bifurcation ratio, stream-length ratio of Horton.

3 THEORETICAL FRAMEWORK

3.1 Stream Order

Based on Strahler classification method, the smallest recognizable channels with no tributaries are designated as first stream order (Chow et al., 1988). Stream order classification using Strahler method is shown in Figure 2 (Bras, 1990).
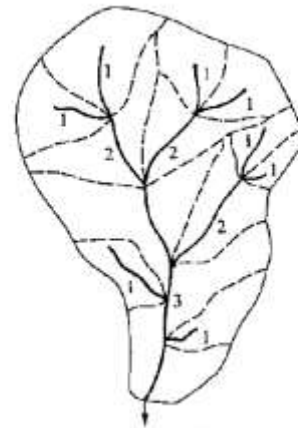

Figure 2. Stream ordering scheme using Strahler method (Bras, 1990).

3.2 Horton's Ratio

Horton's ratios that consist of bifurcation ratio (R_B), stream-length ratio (R_L) and stream-area ratio (R_A) are representative parameters of a given watershed and are fixed values for a given watershed system (Rai et al., 2009). Horton's ratios are obtained using Equation (5), (6), and (7).

$$R_A = \frac{\bar{A}_{(i+1)}}{\bar{A}_i} \qquad (5)$$

$$R_B = \frac{N_i}{N_{(i+1)}} \qquad (6)$$

$$R_L = \frac{\bar{L}_{(i+1)}}{\bar{L}_i} \qquad (7)$$

with

$\bar{A}_i$: average of sub watershed area that contributes to the ith stream order, with $i = 1, 2, 3, ..., \Omega$ and Ω is highest order stream of watershed: $\bar{A}_i = \frac{1}{N_i}\sum_{j=1}^{N_i} A_{i,j}$, $A_{i,j}$ is total area drained to jth stream of ith order,

N_i : number of stream segments of ith order,

$\bar{L}_i$: mean stream length of ith order: $\bar{L}_i = \frac{1}{N_i}\sum_{j=1}^{N_i} L_{i,j}$

3.3 Dynamic Parameter Velocity

For GIUH modeling, velocity value is required to represent the entire watershed. Dynamic parameter velocity (V) for a watershed can be estimated using combination of Kirpich formula and velocity relationship (Jotish et al., 2010) as shown in Equation (8), (9), and (10).

$$t_c = 0.01947 \times L^{0.77} \times S^{-0.385} \tag{8}$$

$$t_c = \frac{1}{60} \times \left(\frac{L}{V}\right) \tag{9}$$

$$V = 0.8562 \times L^{0.23} \times S^{0.385} \tag{10}$$

with: t_c time of concentration (minute), L is main stream length (m), S is mean slope of watershed (m/m), dan V dynamic parameter velocity (m/s).

3.4 Nash Model

The Nash model (Nash, 1957 in Rai et al., 2009) is one of the distributed rainfall-runoff model based on the concept of instantaneous inflow routing through a cascade of linear reservoir with equal coefficient storage. Karamouz et al. (2013) stated that relation between storage and discharge of each reservoir is assumed to be linear $S = kQ$, where value of k is average delay time for each reservoir.

If there are n reservoirs for a given watershed, and then unit pulse of rainfall is inputted in a very short time $\Delta t \to 0$, resulted outflow is ordinate $u(t)$ of an IUH. Outflow resulted from the first reservoir is calculated with Equation (11):

$$u_1(t) = -\frac{-e^{-t/k}}{k} \tag{11}$$

Outflow $u_1(t)$ of the first reservoir flows into a second reservoir and results Equation (12):

$$u_2(t) = \frac{-e^{-t/k}}{k}\left(1 - e^{-t/k}\right) \tag{12}$$

By continuing process in Equation (12), outflow for n-th reservoir is derived in the function of Gamma distribution as shown in Equation (13) and is known as Nash model.

$$u(t) = \frac{1}{k\Gamma(n)}\left(\frac{t}{k}\right)^{n-1} e^{-t/k} \tag{13}$$

With $u(t)$ is ordinate of IUH (hour^{-1}), t is time interval sampling (hour), $\Gamma(n)$ is Gamma function [$\Gamma(n) = (n-1)!$], while n and k are parameters of Nash model, where n is the number of linier reservoir, and k is the storage coefficient (hour).

3.5 Geomorphological Parameter Estimation of Nash Model based on GIUH

The complete shape of GIUH is obtained by linking q_p and t_p of GIUH with scale (k) and shape parameter (n) of Nash model. In Rai et al. (2009) Equation (14) and (15) are obtained by substituting and simplifying Equation (13),:

$$\frac{\partial}{\partial t}\ln[u(t)] = \left[-\frac{1}{k} + \frac{(n-1)}{t}\right] \tag{14}$$

$$\frac{(n-1)}{\Gamma(n)}\exp[-(n-1)](n-1)^{n-1} = 0.5764\left(\frac{R_B}{R_A}\right)^{0.55} R_L^{0.05} \tag{15}$$

Parameter of n is obtained by solving Equation (15) using Newton Raphson method. Parameter of k for a certain value of V is calculated using Equation (16).

$$k = \frac{0,44L_\Omega}{V}\left(\frac{R_B}{R_A}\right)^{0.55} R_L^{-0.38}\frac{1}{(n-1)} \tag{16}$$

3.6 Derivation of UH from IUH

Derivation of UH from IUH is conducted using two methods. First is lagging method which sums two identical IUHs with a lagging time, t_r in certain duration and identic IUH. UH is obtained by averaging the resulted ordinates. Second is S-curve method which sums some IUHs in sequence until fix discharge is obtained. The difference of similar S-curve of each time interval is the total sum of unit hydrographs during the time interval. Final UH is obtained by dividing the ordinates with time interval (US Army Corps of Engineers, 1994).

3.7 Statistic Method to Evaluate Model's Accuracy

a) Nash-Sutcliffe efficiency (NSE)

NSE is calculated using Equation (17):

$$NSE = 1 - \frac{\sum_{i=1}^{n}(O_i - S_i)}{\sum_{i=1}^{n}(O_i - \bar{O})} \qquad (17)$$

with: O_i is the ith observation discharge value, S_i is the ith simulated discharge value, $\bar{O}$ is the mean of observed discharge data, and n is the number of observed data.

b) Relative Mean Error (RME)

RME between peak discharge value of simulated hydrograph and observed hydrograph is calculated using Equation (18) and (19).

$$RME = \frac{1}{n}\sum RE_i \qquad (18)$$

$$RE_i = \frac{(Q_{obs} - Q_{cal})}{Q_{obs}} \times 100 \qquad (19)$$

with: RE_i is the percentage of relative error of each event, Q_{obs} is the peak discharge of observed runoff hydrograph, and Q_{cal} is the peak discharge of simulated runoff hydrograph.

c) Root of Mean Square Error (RMSE)

RMSE of the peak discharge is obtained using Equation (20) and (21) as follows.

$$RMSE = \sqrt{\frac{1}{n}\sum_{i=1}^{n} SE_i} \qquad (20)$$

$$SE_i = (Q_{obs} - Q_{cal})^2 \qquad (21)$$

with: SE_i is the relative error of each event, Q_{obs} is the peak discharge of observed runoff hydrograph, and Q_{cal} is the peak discharge of simulated runoff hydrograph.

4 RESEARCH METHODS

4.1 Research Methodology

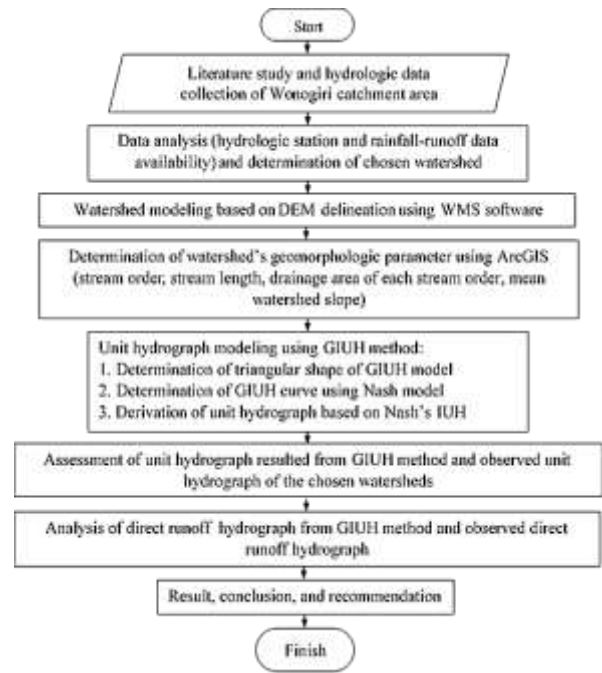This research was done according to general flowchart as shown in Figure 3.

Figure 3. General research methodology.

Generally, research methodology of this study is explained as follows.

a) Determination of the chosen watershed based on the availability of AWLR stations and rainfall-runoff data.
b) Watershed delineation using Hydrologic Modeling Wizard tool in WMS 10.1 using Digital Elevation Model (DEM) as spatial data input.
c) Analysis of geomorphologic parameter of watershed using ArcGIS including stream-order, stream-length, area and slope of watershed.
d) Unit hydrograph modeling using GIUH method: determination of triangular parameter of GIUH (q_p, t_p, and t_b), and unit hydrograph derivation from Nash's IUH.
e) Analysis of accuracy from the resulted GIUH.

4.2 Accuracy Analysis on Resulted GIUH

For the verification of unit hydrograph and simulated direct runoff hydrograph, the accuracy indicators are peak discharge (Q_p), base time (t_b), and time to peak (t_p) (Figure 4). Verification is performed using statistic methods of Nash-Sutcliffe Efficiency (NSE), Relative Mean Error (RME), and Root of Mean Square Error (RMSE).
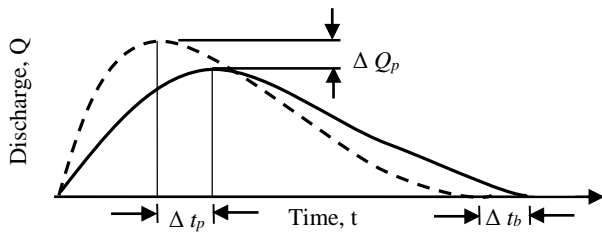
Figure 4. Illustration of verification between unit hydrograph of GIUH and observed unit hydrograph.

5 RESULTS AND DISCUSSIONS

5.1 Determination of The Chosen Watershed

Based on the availability of rainfall and runoff data that fulfilled the criteria of unit hydrograph derivation by Collins method, Keduang and Wiroko watershed were selected to be modeled using GIUH method.

5.2 Watershed Modeling

Watershed modeling consists of watershed boundary delineation and development of stream network using software WMS 10.1. It needs input data of GDEM ASTER version 2.0 with 30 m resolution downloaded from official website of United States Geological Survey (USGS) and AWLR coordinates.

Considering flow accumulation process, minimum threshold value of 0.5 km^2, 1 km^2, 1.5 km^2, and 2 km^2 were used to compare the identified stream area. In ideal condition, threshold values are optimized so that the first stream order tributaries are properly modeled based on criteria conforming the actual watershed condition according to Strahler classification method.

The next process was determination of AWLR stations as an outlet point to delineate the watershed. Results of the delineation process for Keduang is given in Figure 5. The area for Keduang and Wiroko watershed are 360.73 km^2 and 183.92 km^2 respectively. While in

Octavia (2013), the total area for Keduang is 364.043 km^2 and Wiroko is 183.131 km^2. Total area of watershed was estimated according to the selected outlet point. Coordinate of AWLR stations as outlet points, in this case were different.

Figure 5 shows how minimum threshold value affects the number of identified stream tributaries. At the watershed, minimum threshold value of 0.5 km^2 gives greater number of stream tributaries than the threshold value of 2 km^2. Less threshold value will yield a greater number of stream network. In order to determine appropriate threshold value, actual stream condition needs to be investigated through field observation. Result of delineation should be verified first so that it fulfills Strahler's criteria. Meanwhile, in this study, delineation result with minimum threshold value of 0.5 km^2 was chosen because it gives better tributaries and best at representing the actual condition of the watershed.

Stream network classification was conducted following Strahler scheme order. The analysis results conclude that the highest stream-order for Keduang is 5, while for Wiroko is 4 as shown in Figure 6 and 7.
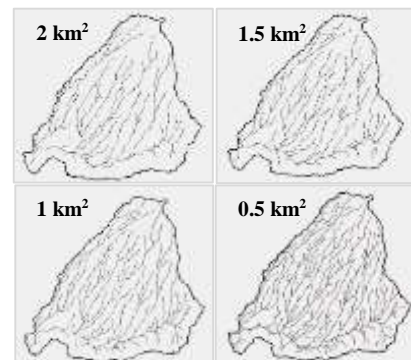

Figure 5. Results of Keduang watershed delineation using minimum threshold value of 0.5 km^2, 1 km^2, 1.5 km^2, dan 2 km^2.
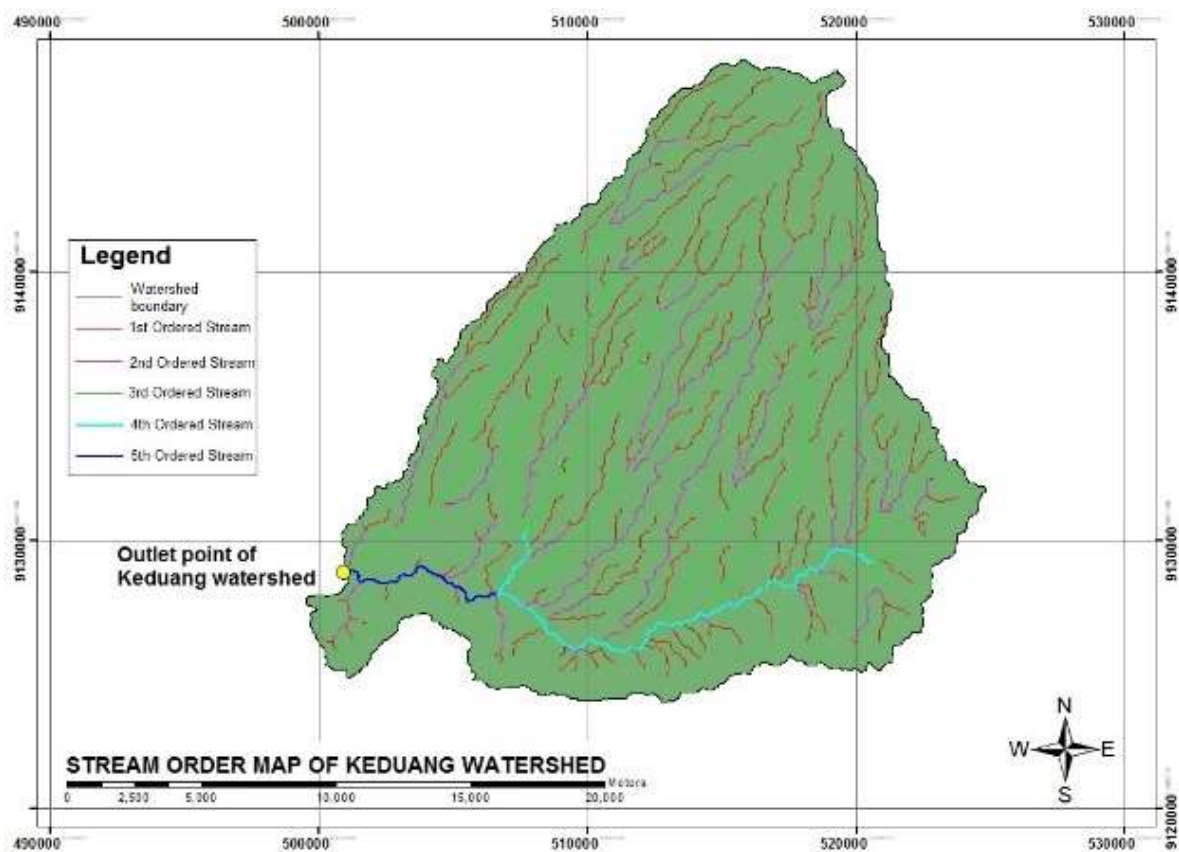
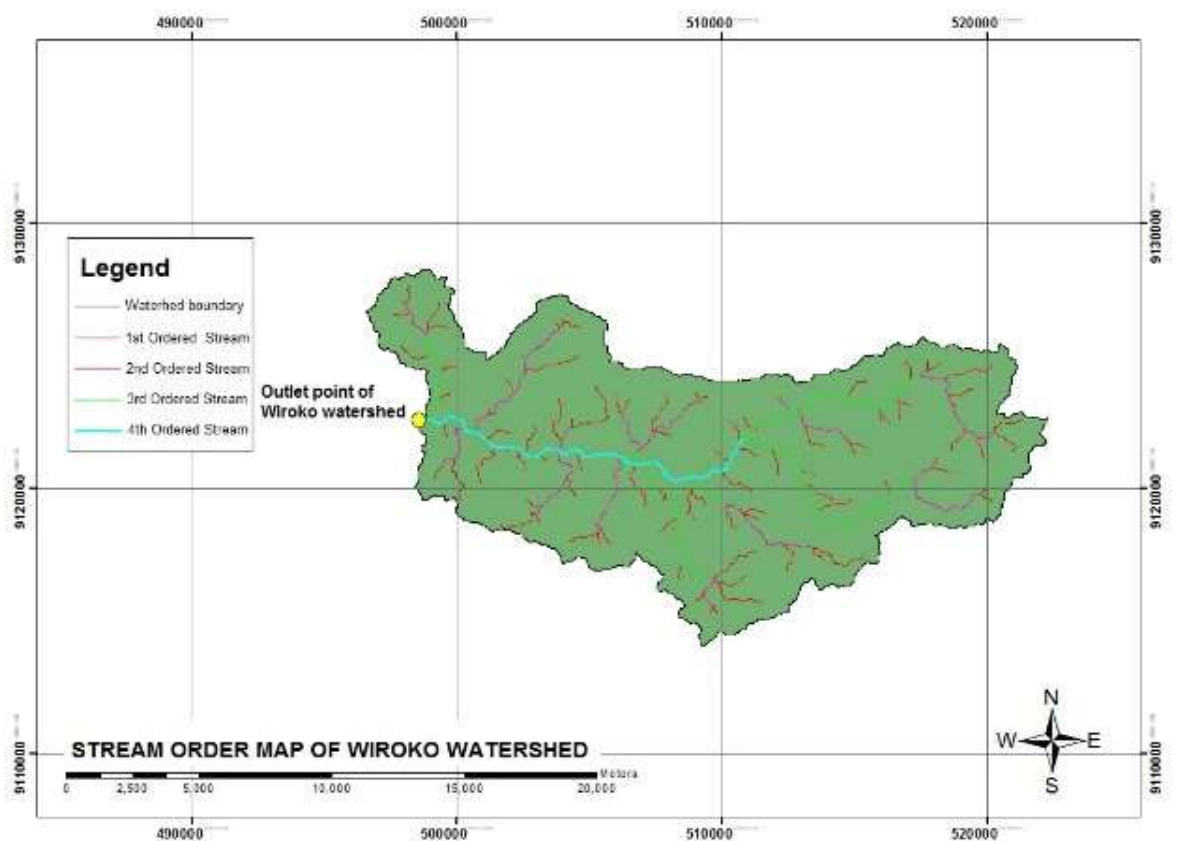Figure 6. Stream order map of Keduang watershed.

Figure 7. Stream order map of Wiroko watershed.

5.3 Analysis of Geomorphological Parameter of Watershed

Geomorphological parameters for Keduang and Wiroko watersheds are given in Table 1 and Table 2, respectively.

Table 1. Geomorphological parameters of Keduang watershed

Stream order	Number of stream, n	Average L (km)	Average A (km²)
1	151	1.76	1.46
2	39	3.50	6.06
3	10	7.66	29.95
4	2	11.10	169.69
5	1	7.35	360.73

Table 2. Geomorphological parameters of Wiroko watershed

Stream order	Number of stream, n	Average L (km)	Average A (km²)
1	108	0.87	1.08
2	23	1.95	5.01
3	6	5.41	25.06
4	1	16.17	183.92

The physical parameters are used to calculate Horton ratios (R_A, R_L, dan R_B) estimated by semi-logaritmic regression curve. The values of physical parameter characteristics are listed in the following Table 3.

Table 3. Physical parameter characteristic for Keduang and Wiroko watersheds

Water-shed	R_B	R_A	R_L	L (km)	L_Ω (km)	A (km²)	S m/m
Keduang	3.67	4.20	1.49	30.71	7.35	360.73	0.19
Wiroko	4.66	5.48	2.66	31.46	16.17	183.92	0.27

5.4 Dynamic Parameter Velocity

Dynamic parameter velocity (V) value for Keduang watershed is 4.90 m/s and for Wiroko is 5.61 m/s. V for Wiroko is greater because it has greater main stream-length and greater mean slope.

5.5 Calculation of Unit Hydrograph using GIUH Method

GIUH triangular parameters for Keduang watershed are peak discharge (q_p) of 1.038 hour^{-1}, time to peak (t_p) of 0.53 hour, and base time (t_b) of 1.93 hours. Meanwhile, for Wiroko watershed the parameters are peak discharge (q_p) of 0.692 hour^{-1}, time to peak (t_p) 0.80 hour, and base time (t_b) 2.89 hours.

5.6 Calculation of GIUH Unit Hydrograph using Nash Model

Nash's IUH was derived by calculating q_p and t_p of GIUH using scale parameter of (k) and shape (n) from Nash model. At Keduang watershed, value of n is 3.034 and k is 2.586. Meanwhile, at Wiroko, the value of n is 3.085 and k is 3.835. Then, ordinates of Nash's IUH at time t can be calculated by using values of n and k. Ordinates of Nash's IUH of mm/hour unit were converted into Nash's IUH of m³/s unit using watershed area as conversion factor. Then, IUH was derived into UH by lagging and S-curve method.

5.7 Comparison between Modeled Unit Hydrograph and Observed Unit Hydrograph

The observed unit hydrograph is an average of several selected events in each watershed. Several selected events and averaging method refers to previous study of Pradipta (2014) according to the most updated watershed area from the present study. The selected flood events for Keduang watershed are 8 cases, while in Wiroko are only 4 cases. Results of GIUH unit hydrograph modeling and average observed unit hydrograph of each watershed are shown in Figure 8 and Figure 9.
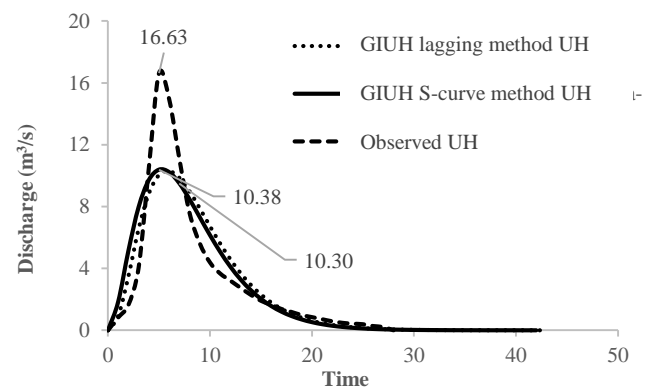

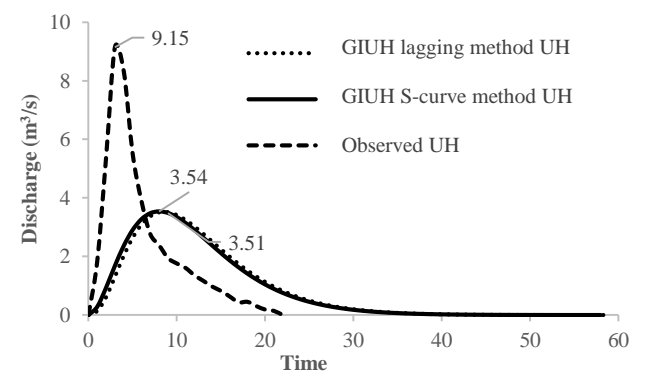Figure 8. Comparison between GIUH unit hydrograph and observed unit hydrograph of Keduang watershed.

Figure 9. Comparison between GIUH unit hydrograph and observed unit hydrograph of Wiroko watershed.

Table 4. Comparison between GIUH and observed UH

UH Parameter	UH Keduang watershed			UH Wiroko watershed		
	Obs	Lagging	S-curve	Obs	Lagging	S-curve
Peak discharge (m³/s)	16.63	10.30	10.38	9.15	3.51	3.54
ΔQ_p (%)		38.06	37.57		61.62	61.33
Time to peak (Hour)	5	6	5	3	9	8
Δt_p (%)		-20	0		-200	-166.7
Base time (Hour)	28	43	42	22	59	58
Δt_b (%)		-53.57	-50		-168.18	-163.6

The results show that the shape of the GIUH unit hydrograph has lower peak discharge and longer recession limb, while the observed unit hydrograph has steep rising limb, greater Q_p, and relatively shorter t_b. This occurs because the stream networks were not modeled properly according to the real condition in watershed, so the discharge of hydrograph becomes slower. Therefore, determination of minimum threshold value of watershed during flow accumulation modeling becomes important in order to gain stream networks that represents more accurately the actual watershed condition according to Strahler method.

Table 4 shows summary of the GIUH, the observed UH, and also the performance of calculation accuracy. The result shows that the error percentage of each modeled UH by S-curve method is less than the error percentage of those by lagging method. The difference is affected by the variability of flood events used for the calculation of the observed unit hydrograph by Collins method. In Table 4, the accuracy calculation of Keduang watershed with 8 flood events gives a better result than of Wiroko watershed that only used 4 food events.

5.8 Sensitivity Analysis on R_L Parameter

Sensitivity analysis was performed by setting R_L parameter of Wiroko watershed at maximum normal value of 3.50. Wiroko watershed was used in the sensitivity analysis since the difference between observed discharge and the simulation results were significant with smaller area compared to the Keduang watershed. R_L and K are length and reservoir factors, respectively which both define shape of the flow discharge hydrograph. Result of GIUH calculation is given in Figure 10 below. It shows value of $R_L = 3.50$ creates greater peak discharge compared to the result of $R_L = 2.66$. This is an accordance with Equation (2), it states R_L value is proportional with value of q_p. Besides, value of t_p and t_b become shorter, which is also an accordance with Equation (3) that states R_L value is inversely proportional with value of t_p.
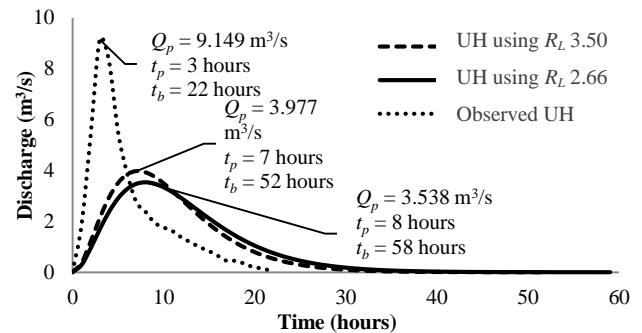

Figure 10. The effect of change on R_L value on the modeled unit hydrograph in Wiroko watershed.

Moreover, value of R_L used to determine k parameter of Nash model is proportional with the ordinate of resulted unit hydrograph. Meanwhile, value of R_L is inversely proportional with resulted k value. It proves that value of R_L affects the shape of the calculated unit hydrograph and it also proves that the accuracy of stream network modeling takes an important role in determining value of R_L.

5.9 Sensitivity Analysis on Nash Parameter

Sensitivity analysis was performed on k parameter of Nash model. In this analysis, k parameter was given in the value of 1, 2, 3, 4 and 5, while the other parameters were assumed constant. The analysis was applied on Wiroko watershed and the resulted unit hydrographs are presented as follows (Figure 11).
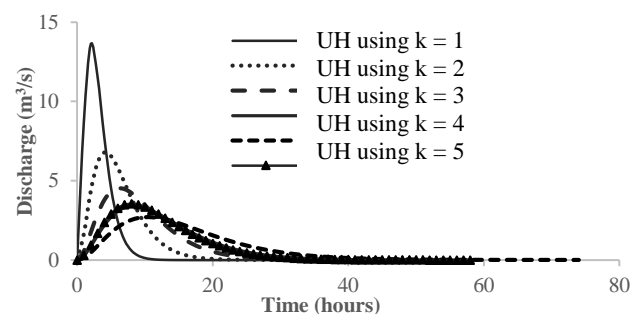

Figure 11. Results of sensitivity analysis on k parameter of Nash model of resulted GIUH unit hydrograph at Wiroko watershed.

In Figure 11, the smallest value of $k = 1$ results in unit hydrograph with the greatest peak discharge and the shortest t_p and t_b. The greatest value of $k = 5$ results unit hydrograph with the smallest peak discharge and the longest t_p and t_b. This is an accordance with Nash model that states value of k is inversely proportional with the ordinate of unit hydrograph. Moreover, as k also represents storage coefficient of each reservoir, the greater value of k lengthens time of the flow retained in reservoir and it makes the discharge is released more slowly. It is proved by the characteristic of hydrograph with a short peak and long slope, and vice versa. The sensitivity analysis shows that the GIUH unit hydrograph is sensitive to the value of k parameter.

5.10 Evaluation of Direct Runoff Hydrograph from GIUH

The unit hydrograph from GIUH modeling was chosen to simulate direct runoff hydrograph. The rainfall events used for simulation of direct runoff hydrograph were the same rainfall events used to calculate observed unit hydrograph. Evaluation of the direct runoff hydrograph was conducted using statistic criteria of NSE, RME and RMSE.

At Keduang watershed, NSE value of all events ranges between 0-1 and it indicates an acceptable level of performance. According to the classification of Moriasi et al. (2007) in Shirmeen (2016), performance of models is very good, good, satisfactory, and unsatisfactory if the NSE statistic is larger than 0.75, between 0.65 and 0.75, between 0.5 and 0.65 and less than 0.5, respectively. The smallest NSE value of 0.58 shows a good performance rating while the greatest NSE value of 0.82 shows a very good performance rating. Meanwhile,, at Wiroko watershed, there are two NSE values that are less than 0 which indicate an unacceptable level performance. While the two others NSE of 0.53 and 0.52 indicate a good performance rating. Evaluations by using RME and RMSE are performed on the peak discharge of simulated and observed direct runoff hydrograph. At Keduang watershed, value of RME = 35.09 and RMSE = 72.11. Meanwhile at Wiroko watershed, value of RME = 57.08 and RMSE = 43.07.

This evaluation shows that the GIUH model for Keduang watershed gave a satisfying result. Meanwhile, in Wiroko watershed, there are several events that show a less satisfying performance. This occurs because the earlier unit hydrographs used for simulation still has significant error values. A conformity model with the actual condition showed that it closely represents characteristics of correspond watershed, thus lack of the number of the rainfall

station can be solved and further improves the flood forecasting analysis.

6 CONCLUSIONS AND RECOMMENDATIONS

6.1 Conclusions

The application of GIS in determining watershed's physical parameter characteristic is able to derive unit hydrograph of GIUH method with limited hydrologic data or unavailability of rainfall-runoff data. The unit hydrograph modeling by GIUH and Nash model approach conducted on Keduang and Wiroko watersheds found smaller Q_p, later t_p and longer t_b than by the observed unit hydrograph. The accuracy analysis shows the rainfall-runoff simulation in Keduang watershed gives good and satisfying results, while in Wiroko watershed the results are less good and satisfying. Results of the sensitivity analysis show that R_L parameter and k parameter of Nash model affect the shape of GIUH unit hydrograph. The inaccuracies because of the limited flood events used to derive observed unit hydrograph and of the stream tributaries that are not properly modeled because there is no verification process to calibrate the model with the actual stream based on criteria conforming the actual watershed condition according to Strahler method.

6.2 Recommendations

Recommendations of this research are that verification to the stream network during the delineation process is important in order to obtain real condition of watershed, so that unit hydrograph will give a better accuracy. Besides, the GIUH model needs to be applied to all watershed in Wonogiri Reservoir catchment area, and it can then be used to forecast inflow flood hydrograph more accurately. Moreover, further study is necessary to observe the effect of DEM resolution and minimum threshold value of watershed area during flow accumulation process towards value of R_A, R_B, R_L and parameter q_p, t_p, t_b of GIUH. In addition, more flood events data to derive the observed unit hydrograph is crucial to represent a better watershed hydrologic condition.

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