## Short Communication

# Evaluating a Bayesian approach to improve accuracy of individual photographic identification methods using ecological distribution data 

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#### Abstract

Photographic identification of individual organisms can be possible from natural body markings. Data from photo-ID can be used to estimate important ecological and conservation metrics such as population sizes, home ranges or territories. However, poor quality photographs or less well-studied individuals can result in a non-unique ID, potentially confounding several similar looking individuals. Here we present a Bayesian approach that uses known data about previous sightings of individuals at specific sites as priors to help assess the problems of obtaining a non-unique ID. Using a simulation of individuals with different confidence of correct ID we evaluate the accuracy of Bayesian modified (posterior) probabilities. However, in most cases, the accuracy of identification decreases. Although this technique is unsuccessful, it does demonstrate the importance of computer simulations in testing such hypotheses in ecology.


Keywords Bayesian statistics; photo-ID; prior knowledge; site fidelity.

## 1 Introduction

The identification of individual organisms from natural characteristics, such as spots, stripes or other markings, can be key to the collection of data while minimising disturbance to the animals (Speed et al., 2007). Such data can be used for estimating population sizes (through modified Capture-Mark-Recapture methods), estimating the territory or home range of individuals or general work on behaviour (Bradbury et al., 2001; Stevick et al., 2001). Since identification can be time consuming, it can often be best achieved through photographs of the animals, to minimise disturbance of handling time (Reisser et al., 2008; Lloyd et al., 2010). Photographic ID of individuals has been shown to be successful for numerous species from both marine and terrestrial ecosystems (e.g. Cetaceans-Würsig and Jefferson, 1990; Manta rays- Kitchen-Wheeler, 2010; Turtles-Reisser et al., 2008; Zebras-Peterson, 1972; Leopards-Kelly, 2001). Furthermore, photographs can be taken by individuals other than trained scientists, and with increasing sophistication of digital cameras and smart phones, photographs can include date, time and position information in the EXIF information, making them a valuable ecological data point (Aanerson et al., 2009; Kirkhope et al., 2010; Stafford et al., 2010).

One problem of photographic ID is that identification can be difficult if there are a large number of similar looking individuals, or if the photograph is of poor quality or from the wrong angle (Culter and Swann, 1999). It may be possible, from some photographs, to only be able to identify the individual to a member of a group of three or four visually similar individuals (Lloyd et al., 2010). With some computer aided identification programmes, a percentage match may be obtained (for example, being $82 \%$ sure of the photograph being a
particular individual, but still $18 \%$ sure it is one of another group of three visually similar individuals - such probabilities are generates by some computer based matching techniques e.g. Hillman et al., 2008).

Incorporating other data, such as site fidelity of an individual, may help increase the probability of identification. Intuitively, if an individual is often seen at a specific site, and a non-conclusive ID is taken at that site, it is more likely to be the commonly seen individual than another individual. As such, incorporating knowledge of previous sightings of an individual should improve the accuracy of the ID results.

In this study we present a method of modifying probability from a photo-ID based on Bayes' theorem, which accounts for the locations of previous sightings and incorporates this as prior knowledge. We predict that use of prior knowledge will increase the probability of a correct identification for an individual with a high level of site fidelity, but decrease the probability of a false identification for a 'transient' or migrant individual, not normally associated with a particular site.

## 2 Methods

### 2.1 Computer simulation

A computer simulation was developed in Java, based on the collection of photographs at a series of possible dive sites. Within a $400 \times 200$ pixel grid a total of 10 dive sites ( $4 \times 4$ pixels) were randomly positioned, initially so $>50$ pixels separated each site (non-clumped sites), and then, in a second group of simulations, from 5 randomly selected sites as above and 5 sites clumped with a $50 \times 50$ pixel area (clumped sites), were simulated. In the second simulation, the five clumped sites were analysed both as separate sites, and as a grouped, single site (grouped sites). A series of 10 virtual animals (for example manta rays, whale sharks or terrestrial animals such as cheetahs, but herein referred to as fish) were simulated within this environment as single pixels. Each fish moved from one pixel to a neighbouring pixel at each of the simulation's time steps. Which neighbouring pixel (including diagonals) it moved to depended on its current bearing and a modification to this bearing - the modification being a random number from a normal distribution and mean of zero as per Stafford et al. (2007). By altering the standard deviation of this distribution, or by including a $180^{\circ}$ turn after a certain number of time steps (Table 1), different levels of site fidelity could be created.

If the fish moved into a 'dive site' then there was a $50 \%$ chance of a photograph of the fish being taken, and an ID being made on that photograph - based on not every sighting being successfully photographed, as is the case with any photo-ID project. The ID was made with a confidence range set as an adjustable parameter (in this case ID probability was defined as a random number from a normal distribution with mean $=0.9,0.7$ or 0.5 and S.D. $=0.2$, with limits between 0 and 1). Each fish was in a group of other 'visually similar' fish, with which it could be easily visually confused (Table 1). Therefore if a random number (uniform, between 0 and 1 ) was higher than the assigned ID probability, the fish identified was given to a different randomly determined fish from the visually similar grouping (essentially a mis-identification). Note, behavioural groupings and visual grouping were not identical (Table 1).

As such, the simulation outputted an identification for an individual (based on the above process), with a probability of identification ( $p$ which varied between 0 and 1 ). Also, probability of similar individuals in the group was calculated as per equation (1):

$$
\begin{equation*}
r=(1-p) /(n-1), \tag{1}
\end{equation*}
$$

where $n$ is the number of individuals in the visually similar group. $r$ was equal for all of the remaining members of the visually similar group.

Details of the dive site and time of sighting were also given, as was the true identity of the fish. Simulations were run for a total of 48,000 time steps, giving around 100 sightings per replicate run. For clumped and grouped sites (see above) the predefined ID confidence range was of mean 0.7 (S.D. $=0.2$ ). Non-clumped sites were tested with all three ID probabilities (mean $=0.9,0.7$ and 0.5 , S.D. $=0.2$ in all cases).

Table 1 Simulation parameters and behavioural and visual groupings of different of simulated fish. Note, groupings for site fidelity and visual similarity are not identical.

| Fish | Tortuosity (S.D.) | Time until $180^{\circ}$ <br> rotation (simulation <br> time steps) | Relative site fidelity <br> $(1=$ low, $4=$ high $)$ | Other members of <br> Visual Similar <br> Group |
| :---: | :---: | :---: | :---: | :---: |
| 1 | 90 | - | 1 | $2,3,4$ |
| 2 | 90 | - | 1 | $1,3,4$ |
| 3 | 270 | - | 3 | $1,2,4$ |
| 4 | 270 | - | 3 | $1,2,3$ |
| 5 | 270 | - | 3 | 6,7 |
| 6 | 90 | 30 | 4 | 5,7 |
| 7 | 90 | 30 | 4 | 5,6 |
| 8 | 90 | 30 | 4 | 9 |
| 9 | 90 | 60 | 2 | 8 |
| 10 | 90 | 60 | 2 | - |

### 2.2 Bayesian modification

Bayesian analysis was conducted using an R script file (R Core Development Team, 2007). Whenever an individual was recorded at a given site, details of the site it was seen at were taken. For a first sighting, the probability of identification of a given fish at a given site was recorded as the probability $p$ (as defined in the section above). Over time, therefore, a database was built up of probabilities of given fish at given sites. For subsequent sightings of a given fish at a given site, the posterior probability of correct identification was modified using the Bayesian equation (equation (2)):

$$
\begin{equation*}
P_{p o s t}=p \cdot Q_{f l, s} /\left(p \cdot Q_{f 1, s}+\sum r \cdot Q_{f x, s}\right), \tag{2}
\end{equation*}
$$

where $p$ and $r$ are as per equation 1 , and $Q_{f l, s}$ and $Q_{f x, s}$ were the priors of fish 1 at site $s$, and fish $x$ (where $x$ runs from 2 to $n$ ) at site $s$ respectively.

Equally, the probability of seeing the other fish in the visually similar grouping was also modified accordingly using the same equation, and subsequently $P_{p o s t}$ became $Q_{f l, s}$. The process was repeated with each sighting and processed in the order in which the sightings occurred.

Details of the overall percentage increase in correct identifications, and the overall decrease in misidentification was calculated for each of the cases listed above (different probability of identification rates, and different spatial distributions and groupings of sites).

## 3 Results

In a minority of cases, Bayesian modification of ID probabilities did increase, allowing a transparent process to increase 'certainty' of sighting ID, based on knowledge of the behaviour and biology of the organisms (Table 2). However, while it may be predicted that such an increase would be found for species with high site fidelities, this was not the case. In fact, there was no clear reason why increases in probability for correctly identified individuals, nor decreases in probability for wrongly identified individuals occurred. In fact, in most
cases, modification of probabilities was reversed from what was expected. Correctly identified individuals had lower probability after Bayesian modification and incorrectly identified individuals had higher probability (Table 2).

Table 2 Percentage changes between initial probability of ID and modified Bayesian probability of ID. Data is given for different initial levels of probability of recognition, both for all fish, and split between behavioural groups of fish given in Table 1. Different dispersal and categorisation of sites is also given as defined in Methods. Negative numbers indicate a change in probability in the 'wrong' direction, for example, a reduction in the probability of identification for the correct fish, or an increase in probability of identification for a mis-identified fish.

| ID <br> probability | Grouping of <br> Sites | Behavioural <br> Grouping (fish <br> numbers) | \% increase in probability <br> of correctly identified <br> individuals | \% decrease in probability <br> of wrongly identified <br> individuals |
| :---: | :---: | :---: | :---: | :---: |
| 0.9 | Random | All | -1.7 | 8.1 |
| 0.7 | Random | All | -2.3 | -4.9 |
| 0.5 | Random | All | 11.1 | -17.0 |
| 0.7 | Clumped | All | -3.4 | -8.3 |
| 0.7 | Grouped | All | 2.7 | -8.1 |
| 0.9 | Random | 1,2 | -3.0 | 4.0 |
| 0.9 | Random | $3,4,5$ | -7.1 | 3.5 |
| 0.9 | Random | $6,7,8$ | 1.6 | 26.8 |
| 0.9 | Random | 9,10 | -0.7 | 0.6 |
| 0.7 | Random | 1,2 | 0.9 | -0.7 |
| 0.7 | Random | $3,4,5$ | -7.2 | -36.8 |
| 0.7 | Random | $6,7,8$ | -4.0 | -10.0 |
| 0.7 | Random | 9,10 | 5.1 | 25.0 |
| 0.5 | Random | 1,2 | -9.1 | -37.8 |
| 0.5 | Random | $3,4,5$ | 6.2 | 3.7 |
| 0.5 | Random | $6,7,8$ | 3.6 | 4.6 |
| 0.5 | Random | 9,10 | 36.0 | 39.6 |
| 0.7 | Clumped | 1,2 | -2.4 | 5.5 |
| 0.7 | Clumped | $3,4,5$ | -4.4 | 12.0 |
| 0.7 | Clumped | $6,7,8$ | -6.0 | -2.1 |
| 0.7 | Clumped | 9,10 | 1.5 | -46.2 |
| 0.7 | Grouped | 1,2 | 1.2 | 1.2 |
| 0.7 | Grouped | $3,4,5$ | -0.4 | 0.8 |
| 0.7 | Grouped | $6,7,8$ | 6.2 | 0.8 |
| 0.7 | Grouped | 9,10 | -41.8 |  |

## 4 Discussion

Bayesian statistics has increased in popularity, especially in the ecological sciences, in recent years (Link and Barker, 2010). The reasons for such an increase in popularity are clear - ecology frequently obtains data from different, but related sources, for example, on the same species, but in different locations, or on several closely related species. As such, the use of existing knowledge as priors can be very useful - potentially reducing the number of samples needed to be taken to ensure a suitably powerful statistical analysis. However, arguments against Bayesian approaches tend to be centred on the selection of prior values, and their often arbitrary nature (Wilson, 2010). The use of biologically relevant data, such as used here, should result in more meaningful priors. Essentially, here, two sets of data are being combined, one relating to biological knowledge of individuals (based on previous sightings), and the second being related to new sightings. However, from the simulation results, it is clear that this approach has not worked in this instance.

In the current case, the Bayesian approach would essentially mimic human intuition. Seeing an individual in the same place on countless occasions would result in a likely increase in the likelihood of identifying an individual, of which you were unsure of, as being the commonly seen individual. However, counter intuitively, this appears not to be the case, especially when similar looking transient species - or initial mis-identification of individuals can occur.

These results are important, even if describing a process that does not work. Given the intuitive nature of such a technique, it would be logical to apply such a process in field studies. However, it is only through the process of computer simulations that the 'real' individual was known for each sighting, and therefore the accuracy of the Bayesian modification can be calculated. While statistical approaches to improve precision of citizen science reporting, or improve identification rates of photograph ID are important (Stafford et al., 2010), it is often only through computer-based simulation that evaluation of such techniques involving uncertain data can be conducted.

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