



POLITECNICO DI TORINO  
Repository ISTITUZIONALE

Device Macromodel Impact on Data Link Performance Assessment

*Original*

Device Macromodel Impact on Data Link Performance Assessment / Stievano I.S.; Maio I.A.; Canavero F.G.; Siviero C..  
- STAMPA. - (2004), pp. 239-242. ((Intervento presentato al convegno 13th IEEE Topical Meeting on Electrical Performance of Electronic Packaging (EPEP) tenutosi a Portland, OR (USA) nel Oct. 25-27, 2004.

*Availability:*

This version is available at: 11583/1507160 since:

*Publisher:*

IEEE

*Published*

DOI:10.1109/EPEP.2004.1407598

*Terms of use:*

openAccess

This article is made available under terms and conditions as specified in the corresponding bibliographic description in the repository

*Publisher copyright*

(Article begins on next page)

# Device Macromodel Impact on Data Link Performance Assessment

I. S. Stievano, I. A. Maio, F. G. Canavero, C. Siviero

Dip. Elettronica, Politecnico di Torino C. Duca degli Abruzzi 24, 10129 Torino, Italy  
Ph. +39 011 5644184, Fax +39 011 5644099 (e-mail igor.stievano@polito.it)

**Abstract:** The use of simulation and macromodels to assess the performance of a typical interconnecting system is addressed. A receiver macromodel including threshold decision of received signals is proposed, and an efficiency analysis demonstrates that the use of well-designed macromodels for all parts of the transmission chain dramatically speeds up the simulation. Also, a careful discussion of simulated eye diagrams shows that macromodels guarantee timing accuracy even in very long bit sequences.

## 1 Introduction

Data transmission in modern ICT devices requires higher and higher bit rates, and the analog nature of transmitting digital data on interconnects becomes increasingly important. This trend involves interconnects and links at any scale, from chip to system level, and reproduces also at smaller scales the transmission problems that are typical of traditional data link. Thus, the designers need to worry more and more of the analog signals reaching the receiver input and the corresponding eye diagrams, from which information on the data link reliability and bit error rate can be extrapolated.

In the design phase, the prediction of received signals and the generation of eye diagrams is currently done by means of analog simulation. In order to highlight those critical effects like jitter, intersymbol interference, crosstalk, etc., simulations must be able to handle very long bit streams on transmission structures that are realistically modeled. This requirement inevitably calls for a simulation power that might exceed the capacity of available computers. Efficient models are therefore imperative, and a combination of driver and receiver macromodels with a clever solution method of long interconnects, and a reduced-order representation of connectors and junctions has been demonstrated to potentially enable the simulation of data link operation during the transmission of long bit sequences [1]. Of course, questions may arise about the accuracy of data link performances assessed by using device macromodels, that are approximations of reality. In particular, the accumulation of errors during the simulation of a very long bit-stream transmission might raise concerns about the validity of simulation results.

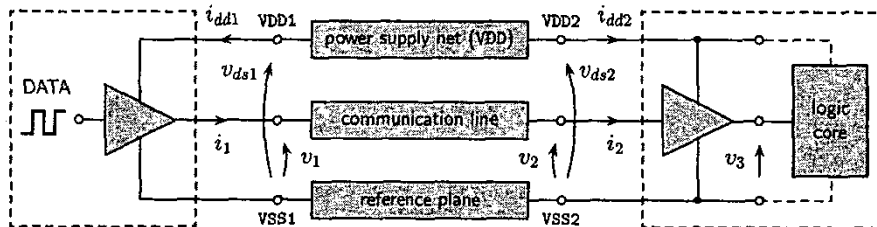


Figure 1: Structure of a generic high-speed data communication link with the relevant blocks and electrical and logical variables of interest.

The aim of this paper is to discuss the impact of device macromodels on the accuracy of signal integrity and performance predictions for critical data link of ICT devices. Figure 1 shows the structure of a typical data link, that is composed of a driver (left side) and a receiver (right side) communicating via an interconnect, and energized by a common power supply network. For this structure, the performance assessment requires the simulation of  $v_2(t)$  (for checking timing and distortion effects), as well as of the eye diagram at the receiver level, essential for the prediction of the bit error rate of the link.

The scheme of Fig 1 defines also  $v_3(t)$ , that is the analog output of the first receiver stage, where  $v_2(t)$  is compared with a threshold value. This signal  $v_3$  is presently not considered by the designers, since it is not readily accessible, if one-port models of the receivers are used. However, it has two great advantages, *i.e.*, it includes the threshold detection carried out by the receiver, and it carries additional information on the effects of the power supply noise and of electromagnetic interferences as they reach the logic core of the receivers. Later in this paper, we discuss the value

of including  $v_3$  in the receiver model and using it for the performance estimation of an entire data link.

## 2 Device macromodels

This Section shortly reviews the basic macromodels of CMOS drivers and receivers. For drivers, we use the state-of-the-art *Mπlog* approach [2], briefly outlined below. For receivers, we propose an extension of conventional one-port models, as elaborated in Sect. 2.2.

### 2.1 Drivers

Macromodeling of single-ended CMOS drivers is a well-established process, providing a mathematical relationship between the analog port voltage and current variables ( $v_1$  and  $i_1$  in Fig. 1), controlled by the DATA stream of Fig. 1.

Since the input signal, even if accessible from measurements or simulation, can be hardly included directly in the macromodel definition, the best way to create a driver macromodel is by means of a two-piece model representation, where the input signal acts as a logic input forcing the state transition only, and the output buffer behavior turns out to be almost uncorrelated to the small amplitude variations of such an input signal. As an example, for the driver of Fig. 1 this writes

$$i_1(t) = w_H(t)i_H(v_1, d/dt) + w_L(t)i_L(v_1, d/dt) \quad (1)$$

where  $i_H$  and  $i_L$  are dynamic submodels accounting for the port behavior at fixed logic High or Low state, respectively, and  $w_H$  and  $w_L$  are weighting coefficients playing the role of the input signal and accounting for logic state transitions.

A detailed discussion of possible representations of (1) can be found in [3], and a model extension, that includes the variation of power supply terminals VDD1 and VSS1 as well the inclusion of temperature parameter and the tri-state operation is discussed in [2].

### 2.2 Receivers

The conventional model representation for the receiver input port is obtained as a sum of a static and a dynamic part, as follows

$$i_2(t) = f_s(v_2, v_{ds2}) + f_d(v_2, v_{ds2}, d/dt) \quad (2)$$

where submodel  $f_s$  is the 2-dimensional static characteristic of the input port of the receiver and submodel  $f_d$  is a general nonlinear dynamic model. A similar representation holds for current  $i_{dd2}$ . In this work, the static surface  $f_s$  is approximated via a linear interpolation of the static characteristics ( $i_2, v_2$ ) computed for two different values of the power supply, and the dynamic submodel  $f_d$  is a linear parametric model as described in [4]. It is worth mentioning that a simple linear dynamic model for  $f_d$  can hardly reproduce the dynamic behavior of the receiver when the effects of the power and ground clamps are dominant. However, the accuracy of the macromodel can be improved by using finer approximations for the static submodel  $f_s$  and nonlinear parametric models for  $f_d$ , as already proposed for drivers [2].

In order to model the transmission between the receiver input and output ports, the analog output feeding the logic core  $v_3$  is represented as a controlled voltage source, since the logic core behaves as a fixed load for the receiver output port:

$$v_3(t) = \hat{v}_3(t) \left( \frac{v_{ds2}(t)}{V_{DD}} \right) \quad (3)$$

where  $\hat{v}_3$  accounts for the ideal transmission behavior, and is obtained by juxtaposing in time the basic up and down state transitions of voltage  $v_3$ , consequent to up (or down) state transitions of the receiver input voltage  $v_2$ . The state transitions of  $v_3(t)$  are triggered when  $v_2$  crosses a suitable threshold value (or more than one for a receiver with hysteresis) and the shape of the  $v_3(t)$  edges is independent of the shape of  $v_2(t)$ . Finally, the elementary transitions composed into  $\hat{v}_3$  are recorded while the power supply terminals VDD2 and VSS2 are set to their nominal values, and the effect of the power supply voltage variation is included in the model by a linear correction  $v_{ds2}(t)/V_{DD}$ , since we assume that  $v_3(t)$  is roughly proportional to the power supply voltage  $v_{ds2}(t)$ .

## 3 Discussion of test cases

In order to study the influence of device macromodels on data links performance assessment, we simulate the operation of the typical data link shown in Fig. 1 by using different combinations of driver and receiver models. The interconnect between driver and receiver is an 8 cm-long MCM land, that is modeled as a lossy dispersive transmission line. The power supply network is considered either ideal or modeled by a lumped equivalent (see below), and no transitions or junctions are included in the transmission path, for the sake of simplicity. A high-speed IBM CMOS transceiver ( $V_{DD} = 1.8$  V) is used in place of the driver and of the receiver. A transistor-level model of this device is

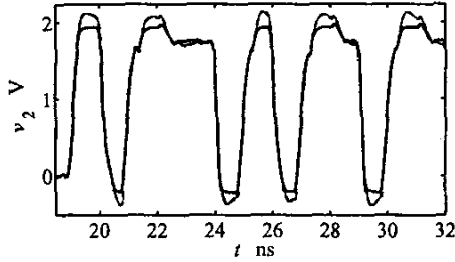


Figure 2: Voltage waveform  $v_2(t)$  for the test case #1. Solid thin line: reference; dashed thick line: approximate MR set; solid thick line: approximate MM set.

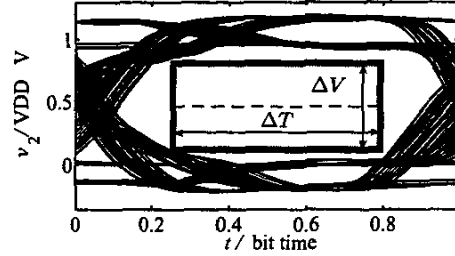


Figure 3: Eye diagram arising from the reference waveform  $v_2(t)$  of test case #1 and the definition of the eye opening parameters  $\Delta V$  and  $\Delta T$ .

used as a reference, and specialized macromodels for the driver and the receiver are derived from the responses of such a transistor-level model, and are implemented as SPICE-like subcircuits. The structure of the receiver macromodel is the one proposed in Sec. 2.2 with a linear dynamic part. Additional details of the transceiver utilized in this study and on the generation of its macromodels can be found in [2, 4]. The data pattern used for this study is a 256 bit-long sequence with 1 ns bit time and jitter error uniformly distributed in the range  $[-50, 50]$  ps. All simulations are carried out by means of PowerSPICE and two test cases are considered, including or not noise effects on the power supply network.

The following simulation strategy has been adopted: a set of reference waveforms is computed by using transistor level models for both the driver and the receiver devices; then, two sets of approximate waveforms are generated by using: (1) a macromodel for the driver and the reference transistor level model for the receiver (hereafter, labelled with MR); (2) macromodels for both devices (labelled with MM). The goal is to provide comparisons between the reference and approximate waveforms, and their corresponding eye diagrams, to estimate the impact of possible errors introduced by macromodels.

**Test case 1.** The first case is defined by the data link described above with a power supply network modeled by a  $V_{DD}$  battery and a perfectly conducting reference plane, in order to exclude all possible power supply disturbances.

Figure 2 shows the reference and approximate waveforms of the voltage  $v_2(t)$ , for a duration of 14 ns, picked at random along the simulation of the entire bit pattern. A very good correlation among the different curves, especially during the transitions, indicates that the simplified macromodels are capable of providing accurate timing information. In fact, the timing error on  $v_2(t)$ , computed as the maximum delay between the reference and the approximate waveforms at 0.9 V level, turns out to be always less than 2% of the bit time over the entire bit sequence for both set of approximate waveforms. The sole deviation of the MM curve from the reference is in the overshoots and undershoots regions, where the  $v_2$  shape is mainly decided by the receiver clamps, and the corresponding macromodels implementing a simple linear dynamic part demonstrate (as expected) their inadequacy in clamp regions.

Figure 3 shows the eye diagram derived from the reference waveform of  $v_2(t)$ . As one can anticipate from the analysis of Fig. 2, the waveforms obtained by the simulations of macromodels are not adding significant information, as all diagrams look very similar. However, the receiver analog output  $v_3(t)$  is expected to be more informative, since it already includes the effects of the threshold detection carried out by the receiver on the  $v_2(t)$  waveform. In order to estimate the differences between the eye diagrams of  $v_3(t)$  arising from reference and approximate waveforms, we compute the eye apertures  $\Delta T$  and  $\Delta V$  defined in Fig. 3 and plot  $\Delta T$  vs.  $\Delta V$  in Fig. 4. In this plot, for every value of  $\Delta V$ , the difference of the corresponding  $\Delta T$ 's quantifies the error in the eye opening caused by the use of approximate waveforms, and Fig. 4 shows that the openings of eye diagrams obtained from simulations with macromodels are within 2% of openings from reference simulations.

**Test case 2.** In this second case, both the power supply network and the reference plane are modeled by realistic lumped equivalent circuits, in order to account for the switching noise.

Figure 5 shows the reference and approximate waveforms for  $v_2(t)$  and  $v_{ds2}(t)$ . As for the first test case, the accuracy of the approximate models is confirmed, and the timing error on  $v_2$  turns out to be less than 3% of the bit time

Table 1: Efficiency comparison (PowerSPICE simulation of a 256 bit pattern on the structure of Fig. 1)

Device models	CPU time
reference transistor-level	143 min
macromodels (MM set)	4.3 min

over the entire bit sequence for both the MR and MM waveforms.

Figure 6 shows the reference and approximate  $v_3(t)$  signals, the latter obtained by inputting to equation (3) two different  $v_2(t)$  waveforms, that is, the reference one and the result of the MM simulation. From Fig. 6, the accuracy of the receiver macromodel in reproducing the power supply fluctuations on  $v_3$  can be clearly appreciated. Figure 7 shows the reference and approximate  $\Delta T$  vs.  $\Delta V$  curves, computed from the eye diagrams of  $v_3(t)$  (not shown), thus confirming, for a realistic test case, errors less than 4% in the eye opening diagrams caused by the use of macromodels.

Finally, Table 1 shows a comparison of the CPU time required by the PowerSPICE simulation of the reference 256 bit-long transmission of test case #2 and the corresponding time of the simulation using macromodels; the speed-up factor is on the order of 33.

From the previous analysis, we can conclude that the small eye opening errors evidenced by Figs 4 and 7 are a clear demonstration that timing errors unavoidably introduced by macromodels do not accumulate in very long bit sequences. This first conclusion, coupled with the superior computational efficiency of macromodels, leads us to remark that the macromodel simulation can be exploited for the reliable and accurate prediction of eye openings and data link performance.

#### Acknowledgements

Thanks to George Katopis (IBM) for having brought up this subject to our attention. This work was supported in part by the Italian Ministry of University (MIUR) under a Program for the Development of Research of National Interest (PRIN grant #2002093437) and by CERCOM, Center for Multimedia Radio Communications of the Electronics Dept, Politecnico di Torino.

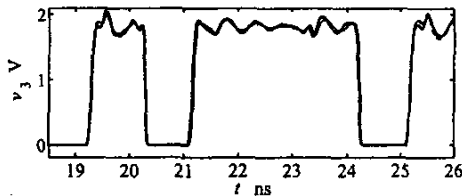


Figure 6: Voltage waveforms  $v_3(t)$  at the output of the receiver for the test case 2. Solid thin line: reference; dashed thick line: prediction from  $v_2$  of set MR; solid thick line: prediction from  $v_2$  of set MM.

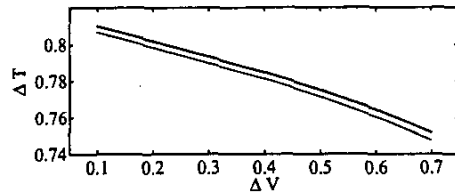


Figure 4: Eye opening parameter values (defined in Fig. 3) for the eye diagrams of waveforms  $v_3$  computed in test case #1. Solid thin line: reference; solid thick line: approximate MM set.

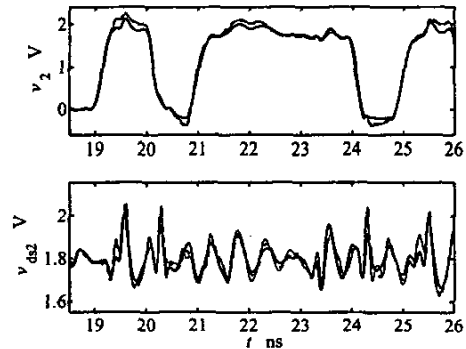


Figure 5: Voltage waveforms  $v_2(t)$  and  $v_{ds2}(t)$  for the test case #2. Solid thin line: reference; dashed thick line: approximate MR set; solid thick line: approximate MM set.

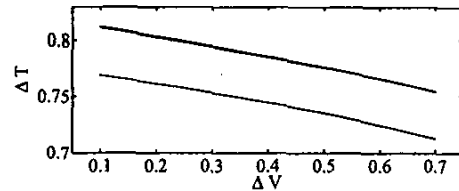


Figure 7: Eye opening parameter values (defined in Fig. 3) for the eye diagrams of waveforms  $v_3$  computed in test case #2. Solid thin line: reference; solid thick line: approximate MM set.

#### References

- [1] F. G. Canavero, S. Grivet-Talocia, I. A. Maio, I. S. Stievano "Macromodeling of Interconnects, Discontinuities, and Logic Devices," Proc. of 5<sup>th</sup> Annual Austin IBM CAS Conference, Austin, TX, Feb. 19–20, 2004.
- [2] I. S. Stievano, I. A. Maio, F. G. Canavero, "M $\pi$ log, Macromodels via Parametric Identification of Logic Gates," IEEE Transactions on Advanced Packaging, Vol. 27, No. 1, pp. 15–23, Feb. 2004
- [3] I. S. Stievano, F. G. Canavero, I. A. Maio, "On the Behavioral Modeling of Integrated Circuit Output Buffers," Proc. of 12<sup>th</sup> IEEE Topical Meeting on Electrical Performance of Electronic Packaging, EPEP, Princeton, NJ, Oct. 27–29, 2003.
- [4] I. S. Stievano, I. A. Maio, F. G. Canavero, "Parametric Macromodels of Digital I/O Ports," IEEE Transactions on Advanced Packaging, Vol. 25, No. 2, pp. 255–264, May 2002.