

## Extending the dynamic range of microchannel plate detectors using charge-integration-based counting

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**Abstract.** Microchannel plate (MCP) detectors provide a mechanism to produce a measureable current pulse ( $\sim 0.1$  mA over several nanoseconds) when stimulated by a single incident particle or photon. Reductions of the device's amplification factor (i.e., gain) due to high incident particle flux can lead to significant degradation of detection system performance. Here we develop a parameterized model for the variation of MCP gain with incident flux. This model provides a framework with which to quantify the limits of high-flux MCP operation. We then compare the predictions of this model to laboratory measurements of an MCP's response to a pulsed charged particle beam. Finally, we demonstrate that through integration of the MCP output current in pulsed operation, effective count rates up to  $\sim 1$  GHz can be achieved, more than an order of magnitude increase over conventional counting techniques used for spaceflight applications.

### **1. Introduction**

Microchannel plate (MCP) detectors have become a standard technology for the measurement of individual photons or particles in space [1] MCPs consist of a regular array of cylindrical continuous dynode electron multipliers (CEMs) [2]. A single MCP plate can contain up to  $10^7$  of these miniature CEMs, each with diameters of the order  $\sim 10$ - $100$   $\mu\text{m}$  and lengths on the order of  $\sim 1$  mm [3]. When an electric potential of a few hundred volts is applied across the MCP plate, an incident particle or photon that strikes the inside of a channel can generate a secondary electron cascade. This cascade typically produces a cloud of only  $\sim 10^3$ - $10^4$  electrons on the output that is not readily distinguishable from electronic noise by charge-sensitive electronics. To increase the secondary electron yield per incident particle up to  $\sim 10^6$ - $10^8$   $e^-$ , multiple MCP plates (typically 2 or 3) can be stacked in series, with multiple channels simultaneously excited in the bottom plates due to charge-cloud spreading [4,5]. The total amplification factor is commonly referred to as the 'gain,' and is crucial to characterize for a detection system.

45

46 MCP gain is most strongly a function of the applied voltage, with further modulation  
47 from the initial secondary electron yield of the incident particle or photon and the depth  
48 within each channel of the bombardment [3,6,7]. Although there can be some variation in  
49 gain with incident particle properties [8-11], MCP detector systems can be configured to  
50 achieve a similar operational regime for both ions and electrons [7]. Each time an  
51 incident particle or photon initiates a cascade within a channel, charge is depleted from  
52 channel walls and must be replenished via the MCP's power supply. A simple model of  
53 an MCP describes each channel as a charge reservoir, with a characteristic charge  
54 replenishment  $RC$  time scale, typically on the order of a few milliseconds, determined by  
55 the plate's resistance ( $\gg 1 \text{ M}\Omega$ ) and capacitance ( $\sim 100 \text{ pF}$ ) [12]. In such a model, an  
56 incident particle entering a channel before it has fully recharged results in reduced MCP  
57 gain. However, because each channel acts somewhat independently, multiple incident  
58 particles can strike the MCP as long as each channel is depleted, on average, less than  
59 once per recharge time. The response of MCP gain to high incident particle flux has been  
60 studied in both steady-state [13-15] and impulsive [16-18] regimes. These investigations  
61 have demonstrated that the charge reservoir concept provides a reasonable representation  
62 of MCP behavior, and that maintaining a low ratio of incident particles-per-channel  
63 within a channel recovery time ensures limited detection system degradation.

64

65 The input particle flux to an MCP is typically inferred through the counting of individual  
66 charge clouds. Often, a charge-sensitive preamplifier followed by a discriminator is used  
67 to trigger an event counter when the total number of electrons in a charge cloud exceeds a  
68 pre-determined threshold [3,7]. Typically, individual charge clouds have time durations  
69 of  $\sim 1\text{-}10 \text{ ns}$ , enabling  $>100 \text{ MHz}$  counting with sufficiently fast electronics [19].  
70 However, in particular for space-based applications, limited mass and power resources  
71 result in preamplifier/discriminator devices with  $<50 \text{ MHz}$  counting [7,20]. Therefore,  
72 recovering the incident particle flux of high-intensity particle bunches becomes non-  
73 trivial.

74

75 In this article, we develop a parameterized model of MCP gain variation that enables the  
76 estimation of incident particle flux from the time-integration of the MCP output current.  
77 This technique eliminates the dead-time effects associated with the counting of individual  
78 pulses. We will demonstrate the effectiveness of this approach using laboratory  
79 measurements of an MCP's response to a pulsed charged particle beam. Although low  
80 energy electrons were used here as an incident particle source, the results of this study  
81 should be relevant for any MCP-based detection system, regardless of input particle  
82 species or photon wavelength.

83

## 84 **2. Model of Dynamic MCP Response**

85 In this section we provide an analytical model of the response of an MCP to large  
86 incident fluxes. We first demonstrate that charge-integration of the secondary electron  
87 current with respect to time can be used to estimate the incident flux with analogous  
88 statistical precision as a pulse counter. We then apply a simple model to describe the  
89 evolution of the mean MCP gain in response to pulsed packets of incident particles. This  
90 model will be used as a basis to interpret and scale laboratory measurements in section 3.

91

## 92 **2.1 Charge-Integration-Based Counting**

93

94 Pólya statistics have been used to model the distribution of secondary electrons produced  
95 from photomultiplier tubes and MCPs [21-23]. For non-zero incident particle flux, the  
96 analytical distribution reduces to a two-parameter Gamma distribution. We therefore  
97 describe the probability distribution function ( $P$ ) of the amount of charge ( $q$ ) in a  
98 secondary electron cloud as,  
99

$$100 \quad P(q) = \frac{1}{\Gamma(\gamma)Q^\gamma} q^{\gamma-1} \exp -q/Q, \quad (1)$$

101

102 where  $\Gamma$  is the Gamma function and the ‘shape’ and ‘scale’ of the distribution are defined  
103 by Gamma distribution parameters " $\gamma$ " and " $Q$ ", respectively. For the limits  $\gamma \rightarrow 1$  and  
104  $\gamma \rightarrow \infty$ , the distribution follows an exponential or Gaussian shape. We define the MCP  
105 gain as the mean value of this distribution, i.e.,  $G \equiv \gamma Q$ . Any additional peaks in the  
106 distribution that are associated with electronics noise were not included in this  
107 description. We assume that the MCP voltage is sufficiently high that  $G$  is much higher  
108 than any detection system noise [7].  
109

110 Now consider  $N$  particles that strike the MCP within time  $\Delta t$ . The total number of  
111 secondary electrons produced by the MCP will correspond to the sum of  $N$  random  
112 samples from the distribution described by Eq. 1. These electrons are collected onto a  
113 conducting anode and form a measureable current (units C/s),  
114

114

$$115 \quad I = qG\Phi_i A_{MCP} \varepsilon_{MCP}, \quad (2)$$

116

117 where  $\Phi_i$  is the incident particle flux (units particles/(cm<sup>2</sup>s)),  $A_{MCP}$  is the area of the  
118 MCP (units cm<sup>2</sup>),  $q$  is the unit charge (units C), and  $\varepsilon_{MCP}$  is the MCP efficiency  
119 (unitless).  
120

120

121 The total number of electrons sampled over a finite time interval will also follow a  
122 Gamma distribution (Eq. 1). The mean ( $\mu$ ) and variance ( $\sigma^2$ ) of this distribution are  $\gamma N Q$   
123 (i.e.,  $NG$ ) and  $\gamma N Q^2$ , respectively [24,25]. The relative deviation of this distribution with  
124 respect to its mean is,

$$125 \quad \frac{\sigma}{\mu} = \frac{\sqrt{\gamma N Q^2}}{\gamma N Q} = \frac{1}{\sqrt{\gamma N}}. \quad (3)$$

126

127 Following the central limit theorem, as  $N$  increases, the total number of measured  
128 electrons approaches the mean value, i.e.,  $NG$ . Typical MCP operation results in  $\gamma \geq 1$  [23]  
129 such that this convergence will occur faster than it would for a Poisson distribution (i.e.,  
130  $\frac{1}{\sqrt{N}}$ ). Therefore, instead of counting individual charge clouds via a discriminator circuit,  
131 the total number of particles that struck the MCP can also be estimated (with analogous  
132 statistical uncertainty) by integrating the total charge collected by the anode and dividing  
133 by the mean gain i.e.,  
134

134

$$N \propto \frac{1}{G} \int_0^{\Delta t} I(t) dt. \quad (4)$$

## 2.2 MCP Gain Dependence on Incident Flux

When an incident particle generates a secondary electron cascade inside an MCP channel, the charge must be replenished before that channel can discharge again. Due to the nature of the cascade, more charge tends to be depleted from the bottom of each channel.

However, an overall replenishment time for a given detector configuration has provided reasonable description of MCP saturation [3]. The characteristic recovery time of each channel is often taken to be  $\tau_D \approx RC$ , where  $R$  and  $C$  are the resistance and capacitance of an MCP channel, respectively. For most MCPs,  $\tau_D$  is on the order of a few milliseconds. Channels in an MCP are semi-independent from one another such that if a given channel has been depleted of charge, its neighboring channels can still generate secondary electron cascades. Therefore, MCPs with large numbers of channels per  $\text{cm}^2$  are capable of counting at MHz rates rather than the kHz rates implied by  $1/\tau_D$  [3].

Consider a burst of incident flux  $\Phi_i$  focused onto an area  $A_{MCP}$  of an MCP during an interval  $\Delta t \ll \tau_D$ . We define the ratio of the number of incident particles to the number of MCP channels as,

$$\rho = \frac{\Phi_i A_{MCP} \Delta t}{\frac{A_{MCP}}{d^2}} = \Phi_i \Delta t d^2. \quad (5)$$

Here, ' $d$ ' defines the center-to-center spacing of adjacent MCP channels and  $\rho$  provides a unitless measure of the MCP's 'usage,' i.e., the ratio of channels in a given area expected to be at least partially discharged. The stacking of multiple MCP plates results in an effective coupling between neighboring channels as charge clouds between successive plates can spread into multiple channels. Because most charge is extracted lower down in the MCP stack, charge cloud spreading above the lowest plate can nonetheless result in substantial depletion of multiple channels simultaneously. If all channels were completely independent of one another, i.e., if a single plate were used, no degradation in a detection system's counting ability should be observed for  $\rho < 1$ .

Following Eq. 2, the measured incident particle flux ( $\Phi_m$ ) is proportional to the total amount of charge collected by the anode divided by the accumulation time, area, and undistorted (i.e., low incident flux) average MCP gain ( $G_0$ ). To the degree that these assumptions are correct,

$$\Phi_m = \frac{\int_0^{\Delta t} I(t) dt}{A_{MCP} \Delta t G_0}. \quad (6)$$

We define a critical number of particles per channel,  $\rho_o$ , where the MCP detection system performance has begun to degrade, i.e., the average gain has reduced to 50% of its nominal value. This parameter implicitly incorporates effects due to the spreading of the secondary electron charge cloud between successive MCP plates and the ratio of charge available for depletion to the average gain within a given channel. Such effects should remain constant for a given MCP stack geometry and operating voltage. The ratio of  $\rho$  to

179  $\rho_o$  is equivalent to the ‘saturation parameter’ as defined in the simple analytical model of  
 180 MCP saturation by *Giudicotti et al.* [16]. Following the ‘pulse mode’ limit of their model,  
 181 the variation of gain in terms of the undistorted gain and incident flux becomes,  
 182

$$183 \quad G = \frac{G_o}{1 + \frac{\rho}{\rho_o}} = \frac{G_o}{1 + \frac{\Phi_i \Delta t d^2}{\rho_o}} \quad (7)$$

184  
 185 Combining Eqs. 6 and 7 gives,  
 186

$$187 \quad \Phi_m = \varepsilon_{MCP} \frac{\Phi_i}{\Delta t} \int_0^{\Delta t} \frac{G(t)}{G_o} dt = \varepsilon_{MCP} \frac{\rho_o}{\Delta t d^2} \log\left(1 + \frac{\Phi_i \Delta t d^2}{\rho_o}\right). \quad (8)$$

189  
 190 The incident flux can then be recovered from the measured flux using,  
 191

$$192 \quad \Phi_i = \frac{\rho_o}{\Delta t d^2} \left( \exp\left(\frac{\Phi_m \Delta t d^2}{\varepsilon_{MCP} \rho_o}\right) - 1 \right) \quad (9)$$

193  
 194 In the limit of  $\rho \ll \rho_o$ , i.e., the low flux limit, equation (9) reduces to  $\Phi_i = \Phi_m$ . We  
 195 expect that Eqs. 7-9 are valid up through  $\rho/\rho_o \sim 1$ . Higher incident fluxes (i.e.,  $\rho \gg \rho_o$ )  
 196 will result in channels being affected by more than one particle impact, leading to further  
 197 distortion of the distribution of secondary electrons. The parameter  $\rho_o$  is expected to be a  
 198 function of MCP stack geometry and applied voltage (e.g., gain).  
 199

### 200 **3. Laboratory Results and Analysis**

201 Leveraging insights from the model developed in section 2, we analyzed laboratory  
 202 measurements of an MCP stack using a pulsed electron beam. Tests were conducting at  
 203 NASA Goddard Space Flight Center in the same facility that was used to calibrate the  
 204 Dual Electron Spectrometer (DES) suite for the Fast Plasma Investigation (FPI) flying on  
 205 NASA’s Magnetospheric Multiscale (MMS) mission [7].  
 206

#### 207 **3.1 Laboratory Setup**

208 The MCP stack used for testing, a flight spare from DES, consisted of two 1.5 mm  
 209 thickness matched plates with 25 $\mu$ m diameter channels, 32 $\mu$ m center-to-center spacing  
 210 (i.e., a channel density of  $\sim 10^5$  channels per cm<sup>2</sup>), and a total stack resistance of 18 M $\Omega$ .  
 211 The front of the MCP stack was masked over, allowing only incident particles to reach  
 212 the plates in a circular spot with  $A_{MCP} = 0.2$  cm<sup>2</sup>, i.e.,  $\sim 20000$  channels. This stack was  
 213 pre-conditioned through the extraction of  $>1$  C/cm<sup>2</sup> such that its gain was expected to  
 214 remain constant throughout testing [7, 26]. A resistive divider provided appropriate  
 215 biasing of the individual MCP plates using a high-voltage power supply.  
 216

217 A schematic of the laboratory test apparatus is shown in Figure 1. A 100eV electron  
 218 beam was used to provide uniform particle flux over an area  $\gg A_{MCP}$ . The electron flux  
 219 was modulated using a set of parallel plates that, with sufficient voltage applied,  
 220 deflected the beam away from the active area of the MCP. A voltage of  $\sim 100$  V (rising  
 221 edge of  $\sim 6$   $\mu$ s) was sufficient to completely redirect the incident electron beam. A  
 222 Faraday cup mounted at a 45° angle with respect to the MCP surface normal served as a

223 beam monitor, providing absolute flux estimates. A rotation-stage motion system enabled  
224 alternating measurements between the Faraday cup and MCP.

225  
226 A solid anode was incorporated into the MCP detector stack to collect the secondary  
227 electron current. The anode signal was passed through a high-voltage capacitor in order  
228 to re-reference the signal to ground, and then was routed, through a vacuum chamber feed  
229 through, to an inverting charge-sensitive preamplifier and finally captured with an  
230 oscilloscope. The oscilloscope acquisition signal was triggered from the rising edge of  
231 the beam modulator signal and was averaged over 512 pulses, providing a smoothed  
232 measurement of the anode current derived in equation (2).

### 233 234 **3.2 Dynamic Variation of MCP Gain**

235 To characterize the variation of MCP gain, the incident electron beam was pulsed with a  
236 spacing ( $T$ ) of 10 ms. This spacing will be shown in section 3.4 to be well above the  
237 characteristic time for an MCP channel to replenish its charge. The beam flux was varied  
238 between  $10^6$  and  $10^9$   $\text{cm}^{-2} \text{s}^{-1}$  by adjusting the voltage on the electron source from 1.2 to  
239 1.7 V. The relationship between the source voltage and Faraday-cup measured flux is  
240 shown in Figure 2a. At each flux setting, the corresponding inverted averaged anode  
241 current was captured with the oscilloscope for effective pulse durations of 4  $\mu\text{s}$ , 19  $\mu\text{s}$ ,  
242 and 44  $\mu\text{s}$  (i.e., 10 $\mu\text{s}$ , 25 $\mu\text{s}$ , and 50 $\mu\text{s}$  set points with a  $\sim 6$   $\mu\text{s}$  rise time). Anode currents  
243 only for the 44  $\mu\text{s}$  pulses are shown in Figure 2b, as the smaller pulse times exhibited  
244 nearly identical peak shapes over their respective overlap with the longer pulse time.  
245 Consistent with previous studies [16-18], the measured anode current decreased with  
246 increased overall flux or increased time after the start of each pulse. This decrease was  
247 most notable for the highest flux settings.

248  
249 The anode current shape at each flux setting was fit using a Levenberg-Marquardt non-  
250 linear least squares algorithm using Eqs. 2 and 7. The free parameters were the incident  
251 flux,  $\Phi_i$ , and the critical number of particles per channel,  $\rho_0$ . The channel-channel spacing  
252 was taken as  $d = 32\mu\text{m}$  and the time since the start of the pulse was taken as  $\Delta t$ . The  
253 resulting fits are included in Figures 2a and 2b. To avoid rise time edge effects and the  
254 deep saturation regime, the segments of each anode current curve used for fitting were  
255 limited to  $t > 2\mu\text{s}$  and  $\rho < 2\rho_0$ . For these data, the critical number of particles per channel  
256 was found to be  $\rho_0 = 0.1$ . Differences in the recovered flux levels are attributed to  
257 variation of the electron beam flux with time at a given voltage setting. The relative flux  
258 levels recovered from the model fits provide corrections for any variability of the beam  
259 between MCP and Faraday cup measurements.

260  
261 Assuming that the dynamic reduction of MCP gain was only a function of the number of  
262 particles per channel, Eqs. 2 and 5 could be used to transform each  $(t, I)$  value in Figure  
263 2b into  $(\rho, G/G_0)$  space. These scalings, shown in Figure 3, indeed resulted in a single  
264 overall curve that described the variation of gain with incident particle flux. As predicted,  
265 the functional form of Eq. 7 provided a good approximation of this relationship up to  $\rho \sim$   
266  $3-5\rho_0$ . Above this value, up to  $\sim 10\rho_0$ , the gain steepened with incident flux, reducing  
267 more quickly than the model. Near  $\rho \sim I$ , the measured gain flattened, becoming larger  
268 than the modeled curve. Such variation suggested substantial distortion of the probability

269 distribution function of gain at very high incident fluxes, and was consistent with the  
270 increased ratio of replenished charge to stored charge predicted by *Giudicotti* [18] for  
271 MCPs in deep saturation.

272

### 273 **3.3 Integration-Based Counting**

274 Given the good agreement between laboratory measurements and the model developed in  
275 section 2, we could assess the viability of using Eqs. 8 and 9 to recover the incident flux  
276 from anode current. Here, we numerically integrated the total anode current measured at  
277 each flux setting for the 4  $\mu\text{s}$ , 19  $\mu\text{s}$ , and 44  $\mu\text{s}$  pulses. In Figure 4a, we compare these  
278 results with the values calculated from Eq. 8 using known incident fluxes, pulse  
279 durations, and critical numbers of particles per channel. The flux values used for this  
280 comparison were those estimated from the non-linear fitting of data in section 3.2.

281

282 The modeled curves accurately predicted the reduction of count rate due to reduced MCP  
283 gain and the corresponding improvement in performance when integrating pulses of a  
284 shorter duration, i.e., minimizing the total number of particles per channel. For the 4  $\mu\text{s}$   
285 pulse, where even at high incident fluxes the value of  $\rho$  remained less than unity (see  
286 Figure 4b), recoverable integration-based count rates up to  $\sim 1$  GHz could be achieved.

287

### 288 **3.4 MCP Recovery Time**

289 Finally, to estimate the recovery time of an MCP channel ( $\tau_D$ ), an incident flux of  $\sim 10^9$   
290  $\text{cm}^{-2} \text{s}^{-1}$  was pulsed with an effective duration of 19  $\mu\text{s}$  (25  $\mu\text{s}$  beam chopper width with 6  
291  $\mu\text{s}$  rise time), and the spacing ( $T$ ) of successive pulses was varied from 0.5 to 10 ms. The  
292 average anode current for each spacing is shown in Figure 2a. As the spacing between  
293 pulses was reduced, the probability that particles would strike an already depleted  
294 channel increased, and the peak amplitude of the measured signal decreased. As shown in  
295 Figure 2b, the peak amplitude exhibited an  $1 - \exp(-T/\tau_D)$  dependence, enabling the  
296 estimation of  $\tau_D = 1.7 \text{ms}$  from the measured data. This recovery time was consistent with  
297 an effective 100 pF MCP capacitance given the stack resistance of 18 M $\Omega$ .

298

## 299 **4. Discussion**

300 The critical number of particles per channel,  $\rho_0$ , parameterizes both channel-channel  
301 coupling effects and the number of particles that can initiate an electron cascade within a  
302 channel before fully depleting it. Consequently, adjustment of either the detection system  
303 geometry (e.g., channel density, plate-spacing, channel bias angle with respect to the  
304 MCP surface normal) or MCP operating point (e.g., gain per incident particle and electric  
305 field between stacked plates) may result in a change in  $\rho_0$ . Pre-conditioning of MCP  
306 plates via the extraction of  $>1 \text{ C/cm}^2$  is critical to ensure that the MCP gain (and  
307 corresponding parameter  $\rho_0$ ) remains constant with time for a given operating setting  
308 [7,26]. Without this initial charge extraction,  $\rho_0$  may vary with detection system lifetime.

309

310 As the electron charge cloud travels from the channel output to the anode, it generates an  
311 image current on the back surface of the MCP. This signal is equivalent to the anode  
312 current but with opposite polarity, enabling two independent measurements of incident  
313 particle flux. The image charge signal can provide a total MCP count rate in parallel with  
314 a segmented or delay-line anode system that provides additional information on the

315 incident particle position [27]. In such a configuration, consider the case that a charge-  
316 integrator is used to capture the total image current from a pulsed beam and traditional  
317 counters are used for the segmented or delay-line anode. For incident count rates well  
318 within the counter operating range and  $\rho \ll \rho_0$ , both measurements can be compared to  
319 provide a relative calibration between them. When the incident count rate increases  
320 beyond the capabilities of the preamplifier/discriminators (i.e.,  $> 50$  MHz), the charge-  
321 integrator measurement will continue to provide reliable estimates of the total incident  
322 flux, extending the dynamic range of the detection system.

323  
324 The charge-integrator acts as a non-paralyzable counter, providing a key advantage over  
325 conventional pulse counting techniques. Consider the 20,000 channels in the presented  
326 experiment. Because each channel is semi-independent, they can all be discharged  
327 simultaneously. Integration-based counting is therefore only limited by the ability to  
328 pulse the incident beam. Although the electron beam modulation here was limited to  $\sim 4$   
329  $\mu\text{s}$ , enabling stable operation for  $\sim 1$  GHz, nanosecond-level particle gating could enable  
330 effective counting up to  $\sim 1$  THz, where the MCP output resembles a constant current  
331 level rather than a series of individual pulses. In this mode of operation, the MCP acts as  
332 a charge-amplifying Faraday cup. Provided that the integration window is larger than that  
333 of the incident flux, there should be no degradation in counting from the finite pulse  
334 width of the secondary electron cloud.

335  
336 Finally, although the experimental results here utilized energy electrons as the source of  
337 incident flux, the variation of MCP gain should be somewhat species and/or photon  
338 wavelength independent. Because the charge cloud generated by an incident particle is  
339 comprised of MCP channel electrons, the physics of the secondary electron cascade  
340 remains unchanged, and similar MCP operating gains of  $\sim 10^6$  have been achieved for UV  
341 photons, electrons, ions, and energetic particles [3]. Furthermore, the anode currents  
342 presented here are similar in structure to those reported by *Coeck et al.* [17], who utilized  
343 high-intensity ion bunches rather than low energy electrons. We note that low energy  
344 sensors are more likely to immediately benefit from this technique, as it is more  
345 straightforward to modulate the incident particle flux.

## 346 **5. Conclusions**

347 We have developed a parameterized model of MCP gain that describes its variation in  
348 terms of the number of incident particles per channel within a detector recovery time.  
349 This model has been validated using laboratory measurements of an MCP's response to a  
350 pulsed electron beam, but should be applicable to any MCP-based detection system.  
351 Integration of the MCP anode current under these conditions has been demonstrated to  
352 provide recoverable count rates up to  $\sim 1$  GHz, providing more than an order of  
353 magnitude improvement over typical space-based counting electronics. This technique  
354 leverages pulsed MCP operation to significantly extend the dynamic range of low energy  
355 MCP-based sensors.

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357  
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### Figures and Captions

**Figure 1.** Schematic of experimental setup used for MCP testing. Secondary electrons from an MCP stack illuminated with a pulsed electron beam were collected onto a solid anode. The resultant anode current was captured with an oscilloscope and compared with model predictions. A Faraday cup beam monitor (not shown) was mounted  $45^\circ$  from the MCP surface normal direction. A motion-control mechanism was used to alternate between the beam monitor and MCP measurements.

**Figure 2.** (a) Incident particle flux as a function of voltage applied to the electron beam source. The black and red curves correspond to measurements from the Faraday cup beam monitor and values derived from fits to the anode current, respectively. (b) Average inverted anode current as a function of time from the start of a  $44\mu\text{s}$  incident electron pulse. Different colors represent different incident electron fluxes. Best-fit modeled curves for each flux setting are shown as black dashed lines in the sub-panel of curves in log-current space. The good agreement between the modeled and measured curves indicates that our parameterization of MCP gain is appropriate.

**Figure 3.** Relative MCP gain (i.e.,  $G/G_0$ ) as a function of incident particles per channel,  $\rho$ . The anode current curves from Figure 2b were transformed from  $(t, I)$  to  $(\rho, G/G_0)$ -space using the analytical model derived in section 2. A self-similar shape across all incident flux settings validates our parameterization of gain as primarily a function of  $\rho$ .

**Figure 4.** (a) Effective count rate derived through numerical integration of the anode current for  $44\mu\text{s}$ ,  $19\mu\text{s}$ , and  $4\mu\text{s}$  pulses as a function of incident flux. The measured data (solid dots) are shown with corresponding modeled curves (dashed lines). At the highest-flux setting of  $3.3 \times 10^9 \text{ cm}^{-2} \text{ s}^{-1}$  (vertical dotted line), the time series of anode current is shown in (b). All pulses exhibit the same fundamental anode current shape but with a higher average value for the shorter pulses due to their reduced number of particles per channel. With a  $4\mu\text{s}$ , effective count rates up to  $\sim 1 \text{ GHz}$  could be achieved.

**Figure 5.** (a) Anode current as a function of time for pulse spacings ( $T$ ) between  $0.5\text{ms}$  and  $10\text{ms}$ . (b) The relative amplitude of the anode current as a function of  $T$ . A model fit of the form  $1 - \exp(-T/\tau_D)$  is shown with a black dashed line, indicating an effective MCP channel recovery time of  $\tau_D = 1.7\text{ms}$ .









