The aim of the present study was to evaluate air-displacement plethysmography (ADP) in children aged 5–7 years. Body-composition measurements were obtained by ADP, 2H dilution and anthropometry in twenty-eight children. Calculation of body volume by ADP was undertaken using adult and children’s equations for predicting lung volume and surface area. Fat-free mass (FFM) was calculated using a three-component model. Measured FFM hydration was then compared with values from the reference child. Differences between measured and reference hydration were back-extrapolated, to calculate the error in ADP that would account for any disagreement. Propagation of error was used to distinguish the contributions of methodological precision and biological variability to total hydration variability. The use of children’s equations influenced the results for lung volume but not surface area. The mean difference between measured and reference hydration was 0·6 (SD 1·7) % (P < 0·10), equivalent to an error in body volume of 0·04 (SD 0·20) litres (P < 0·30), and in percentage fat of 0·4 (SD 1·9) % (P < 0·28). The limits of agreement in individuals could be attributed to methodological precision and biological variability in hydration. It is concluded that accuracy of ADP was high for the whole group, with a mean bias of <0·5 % fat using the three-component model, and after taking into account biological variability in hydration, the limits of agreement were around ±2 % fat in individuals. Paediatric rather than adult equations for lung volume estimation should be used.

Fat mass: Fat-free mass: Bodpod: Body composition: Children

Recent decades have seen major advances in the non-invasive measurement of body composition. Such progress is reflected in greater understanding of body composition in health and disease, particularly in adults. Similar progress in children has been hindered by practical difficulties, and by complexity arising from chemical immaturity of the fat-free mass (FFM). Paediatric patients, in whom body-composition alterations are often most marked, therefore remain difficult to study.

The impact of disease on body composition is best addressed by applying multi-component models. Such models, combining measurements of different body properties, are not dependent on assumed constant properties of FFM, and are predicted to be more accurate than two-component models (Fuller et al. 1992; Wells et al. 1999). The three-component (3C) model, based on measurements of weight (WT), total body water (TBW) and body volume (BV), distinguishes fat, water and fat-free dry tissue. The four-component model further incorporates a measurement of whole-body bone mineral content and distinguishes fat, water, mineral and protein, although the proportion of WT attributed to protein also includes free amino acids, nucleic acids, urea and glycogen (Fuller et al. 1992). However, there is still some concern as to the accuracy of dual-energy X-ray absorptiometry (DXA) data for bone mineral content, with values from Lunar instrumentation being approximately 15 % higher than values from Hologic instrumentation (Tothill et al. 1994). Thus the 3C model may represent a more robust reference method until this discrepancy is resolved.

In practical terms, measurements of WT and TBW present no difficulties in younger age groups, and the development of DXA likewise allows measurement of bone mineral content in all age groups. The limiting measurement for multi-component models in children is therefore BV, traditionally measured by underwater weighing (UWW). This technique has been used in children as young as 5 years (Hewitt et al. 1993; Reilly et al. 1995).
but is too demanding for widespread use or application in patients. Whole-body air-displacement plethysmography (ADP) has therefore been developed as a more acceptable alternative to UWW (Dempster & Aitkens, 1995). It has been successfully validated in adults (McCorry et al. 1995; Nuñez et al. 1999; Wagner et al. 2000), although additional studies suggest that ADP may slightly overestimate body density (BD) compared with UWW (Collins et al. 1999). The technique is also readily accepted in children (Nuñez et al. 1999; Dewit et al. 2000; Wells & Fuller, 2001). However, its validity in younger age groups remains uncertain.

Both accuracy and precision are potential problems when applying ADP to younger age groups, due to the fact that the equipment is designed for adult body size. It has recently been shown that ADP generally has precision superior to UWW in both children and adults, but is prone to occasional rogue values. These can be eliminated by performing pairs of tests, and discarding results differing in BD by >0.007 kg/l (Wells & Fuller, 2001). In terms of accuracy, two studies have reported no difference in children’s BD assessed by ADP and UWW (Dewit et al. 2000; Demerath et al. 2002), while two others have shown a small bias (Nuñez et al. 1999; Lockner et al. 2000). However, validation of ADP against UWW in younger subjects is confounded by the difficulty of adjusting underwater WT for lung volume. For practical reasons, residual lung volume is usually measured on land, and the resulting value then assumed to apply to the measurement of underwater WT (Nuñez et al. 1999; Lockner et al. 2000; Demerath et al. 2002). This approach may generate bias, and UWW is therefore a problematic reference method for evaluating ADP in younger age groups. The more appropriate approach, of measuring lung volume simultaneously with underwater WT, has been used in children only rarely (Dewit et al. 2000).

In the present study an alternative approach has therefore been adopted, by using the hydration of FFM as the reference instead of BV or BD, as described later (p. 701). Our study had two main aims: (1) to measure body composition in children aged 5–7 years using a 3C model, and to compare empirical and reference values for the hydration of FFM, in order to evaluate ADP; (2) to investigate the effect of using children’s v. adult equations for predicting lung volume and surface area (SA) in ADP calculation.

Methods

A sample of twenty-eight healthy children aged 5–7 years was recruited from local schools, and visited our laboratory for a 40 min measurement session. Ethical permission was granted by the ethical committees of Cambridge Health Authority and the former MRC Dunn Nutrition Unit.

Anthropometry

WT was measured with the child dressed in a swimsuit using the scales integral to the ADP instrumentation, previously validated against weights of known value (Wells et al. 1999). Height (HT) was measured to the nearest 0.5 cm using a portable stadiometer (Karrimetre; Castlemead, Ware, UK). BMI was calculated as WT/HT² (kg/m²). Skinfold thickness was measured at the biceps, triceps, subscapular and supra-iliac sites using Holtain callipers. The mean of three measurements was used at each site. Waist and hip circumferences were measured with a soft tape. All skinfold measurements were made on the left side of the body.

2H dilution

TBW was determined by 2H-labelled water dilution with a dose equivalent to 0.05 g/kg body WT. Doses were given made up as fruit squash, and saliva samples collected pre-dose and 4 h post-dose using absorbent salivettes (Sarstedt, Nümbrecht, Germany). Samples were analysed in duplicate, as described by Hoffman et al. (2000). Briefly, they were equilibrated with H₂ gas in the presence of a catalyst and the enrichment of the equilibrated gas measured using an isotope ratio mass spectrometer (MicroMass, Altrincham, Cheshire, UK). Precision of the analyses was, for pre-dose samples, 0.13 parts per million SD at an average of 152.31 parts per million and for post-dose samples 0.224 parts per million SD at an average of 221.64 parts per million. These precision values produce an error of 0.1% on a TBW measurement. 2H-labelled water dilution space was assumed to overestimate TBW by a factor of 1.044 (Racette et al. 1994). Fluid intake during the equilibration period, recorded to the nearest 50 ml, was subtracted from raw TBW values.

Body volume

BV was measured by ADP using Bodpod instrumentation (Life Measurement Instruments, Concord, CA, USA) according to the manufacturer’s instructions and recommendations as described previously (Dewit et al. 2000). The subject wore a close-fitting swimsuit and swimming cap. Raw volume, appearing transiently on the screen during the measurement procedure, was recorded and used in subsequent calculations.

Raw BV requires adjustment for thoracic gas volume (TGV; litres) and air next to the skin (using the SA artifact (SAA; litres). Thus:

\[
\text{Actual } BV \text{ (litres)} = \text{raw } BV + 0.4 \times \text{TGV} - \text{SAA},
\]

where TGV was predicted using child-specific equations as well as the adult equations of Crapo et al. (1982) used in the manufacturer’s software. TGV was calculated as the sum of functional residual capacity (FRC; Crapo et al. 1982; Rosenthal et al. 1993) and half tidal volume (TV; Zapletal et al. 1976). Equations 2 to 7 show the calculation of FRC and TV for adult males and females, and for boys and girls.

For adult males (Crapo et al. 1982):

\[
FRC \text{ (litres)} = (0.0472 \times \text{HT}) + (0.0090 \times A) - 5.290;
\]

TV (litres) = 1.2 (manufacturer’s value).
For adult females (Crapo et al. 1982):

\[
\text{FFM} = (0.0360 \times \text{HT}) + (0.00310 \times A)
\]

\[ - 3.182; \]  

(3)

TV (litres) = 0.7 (manufacturer’s value).

For boys (Zapletal et al. 1976; Rosenthal et al. 1993):

\[
\text{FRC} = (0.02394 \times \text{HT}) - 1.716;
\]

(4)

\[ \text{Log TV} = (1.8643 \times \log_{10} \text{HT}) - 1.3956. \]  

(5)

For girls (Zapletal et al. 1976; Rosenthal et al. 1993):

\[
\text{FRC} = (1.1478 \times \text{HT}) - (0.0136745 \times \text{HT}^2)
\]

\[ + (6.9822757 \times 10^{-5} \times \text{HT}^3) \]

\[ - (1.2725216 \times 10^{-7} \times \text{HT}^4) \]

\[ - 33.928; \]  

(6)

\[ \text{Log TV} = (1.8643 \times \log_{10} \text{HT}) - 1.3956. \]  

(7)

where HT is in cm, and A is age in years.

SA was calculated according to the formulae of both Dubois & Dubois (1916) and Haycock et al. (1978), in order to establish the effect of selecting children’s v. adult equations on final values. Equation 8 calculates SA for adults (Dubois & Dubois, 1916):

\[
\text{SA} = 71.84 \times \text{WT}^{0.425} \times \text{HT}^{0.725}.
\]

Equation 9 calculates SA for children (Haycock et al. 1978):

\[
\text{SA} = 0.024265 \times \text{WT}^{0.5378} \times \text{HT}^{0.3864},
\]

where WT is in kg, and HT is in cm. SAA was then calculated as \( -k \times \text{SA} \), where k is a constant (personal communication, Life Measurements Instruments 1998).

Fat mass (FM) was calculated by the 3C model using equation 10 (Fuller et al. 1992):

\[
\text{FM} = (2.220 \times \text{BV}) - (0.764 \times \text{TBW})
\]

\[ - (1.465 \times \text{WT}). \]  

(10)

FFM was calculated as the difference of WT and FM (see later; p. 701).

Evaluation of air-displacement plethysmography

The ideal method for evaluation of ADP would be another established technique measuring BV. However, as discussed earlier (p. 700), the only existing such method is UWW, which is difficult for young children to cope with and may produce biased results due to the tendency to adjust WT underwater for lung volume measured at a different time point. A relatively new technique, photonic scanning (Wells et al. 2000), is not yet sufficiently refined for this purpose due to hardware limitations.

An alternative approach would be to validate ADP directly against an index of body composition itself, rather than against BV. The problem here is that each body-composition methodology incorporates assumptions concerning the composition of FFM. Thus this approach effectively tests agreement between theoretical assumptions as well as agreement between physical techniques, and is not able to distinguish these two components of agreement. For example, using ADP in its basic form, BV is converted into body-composition values using Archimedes’ principle, which requires assumed constant values for the density of FM and FFM. It has previously been shown in children aged 8–12 years that the use of such assumed constant values of FFM density induces error in body-composition calculation (Wells et al. 1999), and the present study contributes further to this issue.

However, not all aspects of FFM composition vary in the same way. As discussed in greater detail in the next section (p. 701), FFM hydration is a relatively reliable aspect of FFM composition during childhood. In the present study ADP was therefore evaluated through comparison of measured and reference values for FFM hydration. Hydration was calculated using the 3C model, using the methods described earlier (p. 700). Rearrangement of equation 10 gives:

\[
\text{FFM} = (2.465 \times \text{WT}) - (2.220 \times \text{BV}) + (0.764 \times \text{TBW}).
\]

Equation 11

Percentage FFM hydration was then calculated as (TBW/FFM) × 100. This calculation method suffers from the limitation that TBW is incorporated into both numerator and denominator of the equation; hence any error on TBW is included in both terms and hence largely cancels out due to covariance. A 1 % error in TBW is equivalent to only a 0.32 % absolute change in hydration fraction.

Age- and gender-specific values for FFM hydration were taken from the reference child (Fomon et al. 1982), revised by Schoeller (1996), to improve correction of \(^{3}\text{H}\)-labelled dilution space for proton exchange. Using this comparative approach, differences between measured and reference hydration values could be extrapolated backwards in order to calculate the error in BV that would account for these differences. In order to support the use of assumed hydration values as a reference, a brief review of theoretical and empirical work is provided.

Review: hydration of fat-free mass in infants and children

Hydration values for children from birth to 10 years were first calculated from multiple data sources by Fomon et al. (1982), and refer to an idealised child rather than actual measurements of children over the entire age range. Actual data were available for subjects at birth and 6 months for each gender, and 9 years (boys) and...
10 years (girls). Values in between these time-points were predicted, taking into account changes in WT, length and subcutaneous skinfold thickness. These data were subsequently revised by Schoeller (1996), as described earlier (p. 701).

A further reworking of the data was conducted by Lohman (1989), who made modifications intended to take into account predicted linear changes with age of the water and mineral components of FFM. As can be seen in Figs. 1(a) and 1(b), the values of Fomon et al. (1982) and Lohman (1989) agree within 1% of each other throughout the age range of 1–10 years, with the Lohman values being slightly higher throughout in each gender.

Several multi-component studies of older children’s body composition have provided empirical support for the predicted values (Figs. 1(a) and 1(b)). In infancy, empirical values determined by Butte et al. (2000) were close to the reference child values in each gender. The remaining studies have focused on the later period of childhood, and there are no data sets that specifically address children within the age range of 2–8 years. Studies by Boileau et al. (1984), Roemmich et al. (1997), Wells et al. (1999) and Bray et al. (2001), all focusing on an average age of 10 years, show relatively good agreement, with all values being within 1% of both the Fomon et al. (1982) and Lohman (1989) values except the Bray et al. (2001) data in boys. While three of these studies used models based on theoretical calculations, Bray et al. (2001) derived their model using empirical data from DXA as the reference. Their model is therefore limited by the accuracy of DXA in measuring soft tissue, and DXA is not regarded as a gold standard for body composition.

A study of children with a slightly lower average age of 8.5 years by Hewitt et al. (1993) showed poorer agreement with the Fomon et al. (1982) and Lohman (1989) data, depending on the gender of the child and the multi-component model used to calculate FFM. The markedly lower values obtained with the four-component model (72–73%) may be attributed to an unsuitable adjustment for whole-body bone mineral density predicted from measurements of the forearm alone. However, values obtained with the 3C model were much closer to those of other studies.

Finally, further theoretical models of water distribution predict that FFM hydration is unlikely to vary beyond relatively narrow limits. Wang et al. (1999) have developed a physiological model, in which FFM hydration is shown to be determined by four factors: (a) hydration of body cell mass; (b) hydration of extracellular fluid; (c) extracellular solids:TBW ratio; (d) extracellular water:intracellular water ratio. These authors argue that well-established homeostatic regulatory mechanisms maintain cellular and extracellular hydration with great stability, such that factors (a) and (b) vary minimally in healthy adults and can be assumed to be stable across the human lifespan. Factors (c) and (d) are predicted to vary with age, due to variation in extracellular solid mass, in the proportion of immature cells and in the extracellular fluid:cell mass ratio. Ratio (c) is low at birth, and increases rapidly to adolescence, while ratio (d) is maximal at birth and rapidly falls to the adult value. Manipulation of these ratios therefore allows prediction of FFM hydration values during growth, and the authors reported close agreement between the values of the reference child and their model.

In agreement with this model, assessments of FFM hydration variability between individuals in both adults (Fuller et al. 1992) and children aged 8–12 years (Wells et al. 1999) show relatively low variability, in the order of ±1.5%.

The present brief review has considered both empirical and theoretical support for the predicted values for FFM hydration of Fomon et al. (1982). It is concluded that the predicted values are consistent with theoretical models of cellular-level hydration ratios, and that almost all values obtained using theoretically derived models agree within 1% of the predicted values both in infancy and in later

![Fig. 1. Hydration of fat-free mass in (a) boys and (b) girls according to theoretically derived reference data (—, · · ·) and empirical studies ( ■, +, □, ○, ▲, △). (—), Fomon et al. 1982; (· · ·), Lohman 1989; ( ■), Wells et al. 1999; (+), Butte et al. 2000; (□), Boileau et al. 1984; (○), Hewitt et al. 1993 (three-component model); (▲), Bray et al. 2001; (△), Roemmich et al. 1997.](image)
childhood. Values that differ by >1% from the reference child values can mostly be attributed to inappropriate assumptions in the underlying calculations. The age- and gender-specific hydration values of the reference child have therefore been assumed to be an adequate reference for the present study. However, it is important to note that even relatively small errors in hydration imply significant errors in BV. The values used were 77·1, 77·0 and 76·9% for boys aged 5, 6 and 7 years respectively, and 76·1, 75·8 and 75·5% for girls aged 5, 6 and 7 years respectively.

Statistics

Agreement between reference and measured values of FFM hydration was assessed by paired $t$ test. Limits of agreement in individuals were calculated as twice the standard deviation of the mean difference (Bland & Altman, 1986). The initial approach assumed the measurements of WT and TBW to be reliable, such that any difference between measured and predicted values for FFM hydration could be attributed to inaccuracy in measurement of BV by ADP. A more complex approach was then applied, whereby the contribution of methodological error from all techniques to agreement in hydration was investigated.

To determine the extent to which measurement error accounted for lack of agreement between measured and predicted values, error was propagated for FFM hydration as described previously (Wells et al. 1999). Error was propagated by the delta method, using Fieller’s theorem to take into account covariance in ratios (Kendall & Stewart, 1977). This method calculates the maximum possible error as the differential of a function (Oehlert, 1992), using data on repeatability to represent measurement error. For our purposes, methodological error was calculated as precision as described by Bland & Altman (1986).

Error was also propagated for estimating the density and hydration of FFM, and FM and FFM in the 3C model. For FFM hydration, biological variation ($V_b$), methodological variation ($V_m$), residual variation ($V_r$) and total observed variation ($V_t$) were distinguished using the following equation, an extension of that used previously (Wells et al. 1999):

$$V_t^2 = V_m^2 + V_b^2 + V_r^2,$$

where $V_t$ is the observed SD of a given measurement, $V_m$ is the SD of the propagated methodological error in the same units, $V_b$ is the SD of biological variability in hydration reported in our previous study of children aged 8–12 years (Wells et al. 1999), and $V_r$ is the remaining proportion of $V_t$ not accounted for by $V_b$ and $V_m$. All these terms are expressed in the same units, and the three components of $V_t$ are assumed to be uncorrelated. All statistics were carried out using the Minitab software release 6.2 (Minitab Inc., 1990; State College, PA, USA).

Results

All subjects successfully completed the protocol. The sample comprised twelve children (four males, eight females) aged 5 years, nine (five males, four females) aged 6 years, and seven (three males, four females) aged 7 years.

Age and anthropometric characteristics of the children are given for each gender in Table 1. On average, the girls were younger, lighter and shorter, and had larger skinfolds than the boys, but none of these differences achieved statistical significance. On average, both genders had positive SD scores for WT, HT and BMI relative to UK 1990 reference data (Cole et al. 1995; Freeman et al. 1995), significantly so in the boys for WT and BMI.

Raw body-composition measurements are given in Table 2. The boys had greater BV, BD and TBW, consistent with their greater lean mass, but only the difference in TBW was significant. Incorporation of these raw data into the 3C model (Table 3) indicated that the boys had significantly greater mean FFM and lower percentage fat than the girls.

Use of the equations of Crapo et al. (1982), integral to the ADP software, gave mean values for FRC of 0·79 (SD 0·43) litres, whereas the child-specific equations gave significantly higher values of 1·17 (SD 0·13) litres, a difference of 0·38 (SD 0·37) litres ($P<0·0001$). The mean difference between adult and children’s TV was 0·61 (SD 0·24) litres. To some extent, these differences cancel each other out, such that the mean difference in TGV calculated

<table>
<thead>
<tr>
<th>Table 1. Age and anthropometry of the twenty-four children aged 5–7 years (Mean values and standard deviations)</th>
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<tbody>
<tr>
<td>Boys (n 12)</td>
</tr>
<tr>
<td>Age (years)</td>
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<tr>
<td>Weight (kg)</td>
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<tr>
<td>Height (m)</td>
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<tr>
<td>Skinfolds (mm)</td>
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<tr>
<td>Biceps (mm)</td>
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<tr>
<td>Triceps</td>
</tr>
<tr>
<td>Subscapular</td>
</tr>
<tr>
<td>Supra-iliac</td>
</tr>
<tr>
<td>MUAC (mm)</td>
</tr>
<tr>
<td>Waist circumference (mm)</td>
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<tr>
<td>Hip circumference (mm)</td>
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<tr>
<td>BMI (kg/m²)</td>
</tr>
<tr>
<td>Weight SD score</td>
</tr>
<tr>
<td>Height SD score</td>
</tr>
<tr>
<td>MUAC SD score</td>
</tr>
</tbody>
</table>

MUAC, mid-upper arm circumference.
* Mean value was significantly different from zero ($P<0·05$).

<table>
<thead>
<tr>
<th>Table 2. Raw body-composition data (Mean values and standard deviations)</th>
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<tbody>
<tr>
<td>Boys (n 12)</td>
</tr>
<tr>
<td>Body volume (l)</td>
</tr>
<tr>
<td>Body density (kg/l)</td>
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<tr>
<td>Total body water (l)</td>
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</tbody>
</table>

* Mean value was significantly different from that for girls ($P<0·05$).
using children’s vs. adult’s equations was only 0·07 (sd 0·27) (range −0·54 to 0·43) litres. The effect of this TGV difference on values for BV was a difference of 0·02 (sd 1·1) litres. Use of the equations of Dubois & Dubois (1916) and Haycock et al. (1978) produced almost identical values for SAA of 0·40 (sd 0·05) litres, with the differences likewise trivial in all individuals. However, in all subsequent analyses BV was calculated using the child-specific equations for both TGV and SA. Further calculations indicated that choice of SA equation would affect final body-composition values in very thin or fat children. The difference between the two equations approached 4% for children with ± 3 BMI sd scores, and many patients have more extreme nutritional status than this range.

Mean hydration calculated by the 3C model was 75·8 (sd 1·8) %, in comparison with the average reference value of 76·4 (sd 0·6) %, equivalent to a mean bias of 0·6 (sd 1·7) % (P < 0·10). The mean difference in hydration was equivalent to an error of −0·04 (sd 0·20, range −0·38 to 0·36) litres in BV (P < 0·30), equivalent to 0·2 (sd 0·9, range −2·0 to 1·6) % of BV (P < 0·26). This corresponds to a bias in percentage fat (calculated using the 3C model) of −0·4 (sd 1·9, range −4·1 to 3·3) (P < 0·025). A comparison between measured and reference hydration is shown in Fig. 2. The individual data points are scattered relatively evenly around the reference lines, with no discernible correlation with age in either gender.

Precision values were 0·21 litres for TBW, 0·06 litres for BV, and 0·01 kg for WT. Propagation of error for hydration indicated the value of VA to be 0·85 %. Taking a value for Vp of 1·6 % (Wells et al. 1999), the residual proportion of the limits of agreement Vr was equivalent to zero. Thus the lack of agreement between measured and predicted hydration could be attributed entirely to biological variability in hydration and methodological precision. Inaccuracy of the measurement techniques did not appear to contribute to the disagreement.

There was no significant correlation between BV error (calculated as the difference between the measured value and the value required to produce the reference hydration value) and either BV (r = 0·21; NS) or percentage fat (r = 0·02; NS), suggesting that there was no clear effect of size or fatness on volume accuracy within this range of BV (15·8 – 34·8 litres).

The density of FFM was calculated to be 1·0847 (sd 0·0073) kg/l, with no significant difference between gender (boys 1·0832 (sd 0·0079) kg/l; girls 1·0858 (sd 0·0069) kg/l). For both genders these values were higher than those given in the reference child (boys 1·078–1·081; girls 1·073), with the difference significant in girls (Δ = 0·0128 (sd 0·069) kg/l; P < 0·0001) but not in boys (Δ = 0·0036 (sd 0·0079) kg/l; P = 0·14).

Propagation of error gave precision values for the 3C model as follows: FM and FFM, 0·20 kg; density of FFM, 0·0025 kg/l. This latter value represents a minority of the total variability of 0·0072 kg/l, indicating that the biological variability of this trait is 0·0067 kg/l.

**Discussion**

The increasing interest in children’s body composition requires that measurement techniques suitable for younger age groups be developed. ADP represents a technique considerably less demanding than UWW, and its precision has been shown to be acceptable in children aged 4 years and over (Wells & Fuller, 2001). The present study further explored its accuracy and application in a multi-component body-composition model in younger children.

ADP measures BV, and ideally its accuracy should be evaluated by reference to an alternative technique measuring the same property. The only such technique currently available is UWW. However, comparison of ADP with UWW in younger subjects is complicated by the practical complexity of UWW measurement. Young children find it difficult to exhale fully under water, so investigators tend to measure residual lung volume before or after the underwater procedure (Núñez et al. 1999; Lockner et al. 2000; Demerath et al. 2002). However, the assumption that residual lung volume measured in this way is representative of lung volume during underwater WT measurement may not be valid, due to differences in posture, or failure of subjects to exhale to the same degree while underwater. Ideally, lung volume should be measured at the same time as underwater WT, as has been practised in a previous study of older children (Dewit et al. 2000). In the present study, focusing on children aged 5–7 years for whom the

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**Table 3.** Body composition calculated by the three-component model

<table>
<thead>
<tr>
<th></th>
<th>Boys (n 12)</th>
<th></th>
<th>Girls (n 16)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean</td>
<td>sd</td>
<td>Mean</td>
<td>sd</td>
</tr>
<tr>
<td>FFM (kg)</td>
<td>20·2*</td>
<td>3·5</td>
<td>17·6</td>
</tr>
<tr>
<td>Fat mass (kg)</td>
<td>4·0</td>
<td>1·8</td>
<td>4·6</td>
</tr>
<tr>
<td>Percentage fat</td>
<td>16·0</td>
<td>4·6</td>
<td>20·3</td>
</tr>
<tr>
<td>Fat mass hydration (%)</td>
<td>76·2</td>
<td>1·9</td>
<td>75·5</td>
</tr>
<tr>
<td>FFM density (kg/l)</td>
<td>1·083</td>
<td>0·008</td>
<td>1·086</td>
</tr>
</tbody>
</table>

FFM, fat-free mass.

* Mean value was significantly different from that for girls (P < 0·05).

![Fig. 2. Comparison of measured values (•, boys; □, girls) for the hydration of fat-free mass with predicted values (—, girls; · · ·, boys) from the reference child (Fomon et al. 1982).](image-url)
entire UWW procedure is daunting, an alternative approach to ADP evaluation was adopted, by using FFM hydration as the reference. As part of this general approach, it was also considered whether adult-based equations for the prediction of SA and lung volume in ADP calculation are appropriate for younger children.

Measurement of BV by ADP requires correction for the effect of skin temperature on air pressure, taking into account skin SA calculated from anthropometric data. The manufacturer’s software incorporates the SA equations of Dubois & Dubois (1916). These equations, derived almost a century ago from a small number of mainly adult subjects, may not be appropriate for contemporary children. However, it was found that substitution of these equations with those of Haycock et al. (1978) made a trivial difference to final BV values, both in the group as a whole and in any given individual. Nevertheless, although the choice of SA equation appears to have no effect on the body-composition values obtained for subjects of BV 15 litres, it is suggested that children’s equations should still be preferred as they may have greater accuracy in particularly thin or fat children.

In contrast, it was found that the utilisation of adult TGV prediction equations is inappropriate for younger children, even though on average the error is modest. The equations of Crapo et al. (1982), derived in adults and incorporated into the ADP software, significantly underestimate FRC in children in comparison to the values obtained from child-specific equations. The assumption of non-variable TV as in adults likewise generates overestimations. On average, these errors are in opposite directions and cancel out, such that the mean error of TGV prediction was only 0.06 litres, equivalent to 0.02 litres of BV. Underlying this low average error however are significant biases in individual children, with the limits of agreement for BV estimation being ±2.2 litres. Such errors would produce highly erroneous final values for body composition, and the use of children’s lung volume equations in BV calculation is therefore of great importance.

Our assessment of ADP accuracy was therefore based on child-specific equations for both SA and lung volume. Using the resulting BV values in the 3C equation, comparison of empirical and theoretical values for FFM hydration indicated a small mean bias of 0.6 %, equivalent to < 0.5 % fat. Our study therefore indicates that ADP is relatively accurate in groups of children aged 5–7 years. Agreement in individuals was poorer, with the 95 % limits of agreement being ±4.2 % fat. However, these limits of agreement assume that all of the bias between measured and reference values can be attributed to inaccuracy in ADP, and that the other measurements utilised in calculation of FFM hydration are accurate and precise. In practice, these other measurements, along with biological variability in hydration, contribute to the limits of agreement, and therefore the proportion of the limits of agreement of between-technique bias that can be attributed to other sources has been considered. Our calculations indicate that more than half of the limits of agreement can be attributed to biological variability in hydration. After taking this variability into account, it can be estimated that the range of error in individuals is ±2 % fat. Furthermore, this remaining variability can be attributed to methodological imprecision, of which ADP is the principal source. Thus no evidence was found that inaccuracy of ADP contributes to between-technique bias over and above its error from imprecision.

This finding is in general agreement with previous studies of ADP in children. Dewit et al. (2000) reported no difference in mean BV measured by ADP v. hydrodensitometry in children aged 8–12 years. In most subjects agreement between methods was very close; however, in four subjects agreement was considerably poorer, which may be due to occasional rogue values arising from inconsistencies in subject behaviour or testing environment (Wells & Fuller, 2001). Fields & Goran (2000) also found ADP to measure fatness without significant bias compared with the four-component model in children aged 9–14 years, although they found a significant difference between ADP and UWW equivalent to 2.6 % fat (Fields et al. 2002). Lockner et al. (2000) found a slight overestimation of BD by ADP compared with UWW and DXA in children aged 10–18 years, equivalent to a mean bias in fatness of 2.9 %. Similarly, Nuñez et al. (1999) in a study of children aged 6–19 years observed a significant bias of small magnitude in density against the reference UWW technique, indicating that ADP overestimated fatness in fatter individuals. Demerath et al. (2002) found no significant mean difference between UWW and ADP in children aged 8–17 years, but noted a trend for ADP to underestimate fat in fatter subjects and overestimate it in leaner subjects. No such trend between error and fatness or size was found in the present study.

These studies all demonstrate the potential of ADP in younger age groups, and with regard to healthy children imply that biases, where found, tend to remain small and of low clinical significance. Furthermore, the comparisons described earlier (p. 705) do not reveal which of the methods accounts for any error. The precision of UWW is generally reported to be poorer than that of ADP (Dewit et al. 2000; Fields et al. 2002), and its use as a reference technique may therefore magnify apparent disagreement due to random error, as well as potentially contributing systematic error from measurement of lung volume. However, associations reported elsewhere between subject fatness and between-technique agreement are of concern, and continued evaluation of ADP is recommended if the technique is to fulfil its potential in paediatric research. Furthermore, precision may be poorer in some patient groups who may find it more difficult to comply with the protocol. Children with cystic fibrosis, for example, may not be able to breathe so consistently during the measurement periods.

One plausible source of ADP inaccuracy in young children is their smaller body size. The chamber volume:subject volume ratio in this technique has been recommended to be below 6:1 (Gnaedinger et al. 1963), whereas in the present study, the average ratio was considerably higher at 18:1. However, the effect of body size on ADP precision over a wide range of BV has previously been evaluated, and a minimal effect was found (Wells & Fuller, 2001). Likewise, within the range of size evaluated in the present study, no significant
correlation between body size and calculated ADP error was observed, although such a relationship might have been confounded by variation in subject movement, another possible source of error. It is also not known whether the adjustments for TGV and SAA require constants of the same magnitude in young children, whose body proportions differ from those of adults (Stratz, 1909).

Composition of fat-free mass

Whereas the four-component model measures the three principal components of FFM (fat, mineral and protein), the 3C model assumes a constant mineral:protein ratio. The established 3C equation was based primarily on data from adults (Brozek et al. 1963), and in the present study this constant ratio has been assumed to be applicable to younger children despite the chemical immaturity of their FFM. Our group is currently investigating this issue elsewhere.

Only one previous study has applied multi-component models to children in the same age range. Using the 3C model in twenty-eight children aged 5–10 years, with BV measured by hydrodensitometry, the reported values for the hydration of FFM were 75·5 (SD 1·8) % and 74·9 (SD 1·4) % in boys and girls respectively (Hewitt et al. 1989), slightly lower than reference values of 75·9–77·6 % (Fomon et al. 1982) but consistent with our values obtained in the present study (76·2 (SD 1·9) % in boys; 75·5 (SD 1·7) % in girls).

Our study provides new data on the density of FFM in children aged 5–7 years, with values significantly higher (1·085 (SD 0·007) by the 3C model) than those proposed by Fomon et al. (1982) in the reference child (1·080–1·082 in boys, and 1·073 in girls), although when the genders were analysed separately, only the girls’ results achieved significance. This increased FFM density, in the absence of changes in water content, implies a greater proportion of mineral in the FFM than that assumed by Fomon et al. (1982), particularly in girls. Most values in the reference child were predicted from measurements made only at birth, 6 months and 9 years (boys) or 10 years (girls). The authors admitted that the greatest uncertainty in their modelling arose from the lack of data on total body Ca at most ages. Thus the differences reported in the present study appear to be real, and imply that some of the assumptions used in calculation of the reference child are inappropriate.

Differences in FFM density have important implications for the way in which BD, obtained by ADP, is converted into body composition using two-component models and Archimedes’ principle. Until this problem is resolved, ADP will not be able to provide accurate values for children’s body composition when used in a two-component model. Using predicted values for FFM density (Lohman, 1989), a significant mean bias in percentage fat is obtained compared with the measured value using the 3C model (Δ=2·3 (SD 2·9); P<0·0005).

Conclusion

ADP represents a viable method for BV measurement in younger children, being acceptable to subjects aged 5 years and over, and having good precision compared with UWW. Our study indicates that accuracy of the method is acceptable for groups (mean bias <0·5 % fat), and is sufficient for clinical purposes in individuals too (limits of agreement approximately ±2 % fat). However, optimisation of accuracy and precision in younger children may require further adjustment, possibly both of the correction factors used to adjust for lung volume and SA, and of the hardware in order to take into account smaller body size. Further evaluations are therefore recommended. Likewise, empirical data on the density of FFM throughout childhood are required before ADP can be used independently as a two-component technique. Child-specific equations for the prediction of TGV should be used, and although the use of adult equations for SA calculation was not found to generate bias in this population, it is suggested that children’s equations should be used in this context too, to minimise error in very thin or fat subjects.

References


