



# University of Groningen

# Rent assistance and housing demand

Koning, Ruud; Ridder, G.

Published in: Default journal

DOI:

10.1016/S0047-2727(97)00024-8

IMPORTANT NOTE: You are advised to consult the publisher's version (publisher's PDF) if you wish to cite from it. Please check the document version below.

Document Version Publisher's PDF, also known as Version of record

Publication date:

Link to publication in University of Groningen/UMCG research database

Citation for published version (APA): Koning, R. H., & Ridder, G. (1997). Rent assistance and housing demand. Default journal. DOI: 10.1016/S0047-2727(97)00024-8

Copyright

Other than for strictly personal use, it is not permitted to download or to forward/distribute the text or part of it without the consent of the author(s) and/or copyright holder(s), unless the work is under an open content license (like Creative Commons).

If you believe that this document breaches copyright please contact us providing details, and we will remove access to the work immediately and investigate your claim.

Downloaded from the University of Groningen/UMCG research database (Pure): http://www.rug.nl/research/portal. For technical reasons the number of authors shown on this cover page is limited to 10 maximum.

Download date: 10-02-2018



Journal of Public Economics 66 (1997) 1-31



# Rent assistance and housing demand

Ruud H. Koning<sup>a,b,\*</sup>, Geert Ridder<sup>a,b</sup>

<sup>a</sup>Department of Econometrics, Free University, De Boelelaan 1105, 1081 HV, Amsterdam,
The Netherlands

<sup>b</sup>Tinbergen Institute, Keizersgracht 482, 1017 EG, Amsterdam, The Netherlands

Received 1 March 1995; accepted 1 November 1996

#### Abstract

We examine the effect of a rent subsidy program, Rent Assistance, on the demand for rental housing in The Netherlands. The RA program lowers the marginal price of housing services if households consume more than a minimal amount. To estimate the effect of the program we develop a structural model of housing demand that takes account of the partial take-up of the subsidy. We estimate a reduced form that is compatible with the structural model and we test the restrictions that the structural model imposes on the reduced form. These restrictions are not rejected if we allow for application costs. We use the model to decompose the observed difference in housing demand into income, price and preference heterogeneity effects, to examine the effect of application costs and to study the total effect of RA on housing demand. © 1997 Elsevier Science S.A.

Keywords: Housing demand; Rent assistance; Structural models; Partial take-up

JEL classification: C34; D12; H20; R21

# 1. Introduction

In most developed nations the government intervenes in the housing market, and The Netherlands is no exception (see, e.g. Ball et al., 1988). Some of the policies pursued by the Dutch government stimulate the supply of (low-cost) housing, e.g. subsidies for the construction of housing for low-income households. Other

\*Corresponding author. Tel.: +31 20 4446018; fax: +31 20 4446020; e-mail: rkoning@econ.vu.nl

0047-2727/97/\$17.00 © 1997 Elsevier Science S.A. All rights reserved. PII S0047-2727(97)00024-8 policies stimulate the demand for housing, e.g. (full) deductibility of interest payments on mortgages for owner-occupiers and direct rent-subsidies for low-income renters. In this paper, we study the effect of direct rent subsidies on housing demand.

The rent subsidy program in The Netherlands is called Individuele Huursubsidie (IHS) which we shall translate as Rent Assistance (RA). In the program year 1985/86<sup>1</sup> 777 thousand households received RA, that is 25% of all renting households<sup>2</sup>. They received Dfl. 1344 million (approximately US\$ 675 million) in RA subsidies, i.e. Dfl 1729 per household that is 33% of the average rent paid by an RA recipient. The RA program was introduced in 1970 in order to bring good quality housing within reach of low-income households. It was felt that the consumption of housing services should be subsidized, because housing was considered to be a merit good having external effects on the health and ability to work of household members. Moreover, under the assumption that rents can be controlled—and indeed in The Netherlands price controls on the rental market are pervasive—the RA program increased the real income of eligible households. Although there is little discussion of the goal of the RA program, it seems that recently the merit good argument has lost ground to distributional considerations<sup>3</sup>. In this paper we will not examine the merits of the RA program as a distributional device available to the government to maximize national welfare. We focus on the decisions and welfare of individual households only.

The RA program affects the relative price of housing services for eligible households in a rather complicated way. The resulting budget set, when choice is restricted to housing services and other consumption, is non-convex. In this paper we propose a utility maximizing model of housing demand, that takes account of the budget constraint as implied by RA. In specifying this model, we can draw on the extensive experience of applied econometricians with demand analysis in the presence of non-linear budget sets (see, e.g. Pudney (1989) for an introduction). An additional complication is that about 40% of households that are eligible for RA do not apply for the subsidy. For that reason, we shall specify a joint model of RA take-up and housing demand.

By making a distinction between household preferences and constraints, including the perceived costs of application for RA, we hope to isolate the parameters of the preference structure. If we succeed, we can simulate the effect of changes in the RA program. A structural model is better suited to policy analysis,

<sup>&</sup>lt;sup>1</sup> The program year for RA runs from July 1 to June 30. The year 1985/6 started on July 1, 1985 and ended on June 30, 1986. All our data pertain to this year.

In 1985/86 56% of all households were renters.

<sup>&</sup>lt;sup>3</sup> The policy intentions of the Dutch government are summarized in Ministerie van Volkshuisvesting, Ruimtelijke Ordening en Mileubeheer (1989a).

<sup>&</sup>lt;sup>4</sup> Atkinson (1977) discusses the interrelationship between housing subsidies and income taxation as redistributional programs that the government uses to maximize national welfage.

because its parameters are invariant under policy changes. In particular, we can investigate whether RA achieves its stated goals.

In this paper we do not consider tenure choice. We restrict the analysis to renters that are eligible for RA. In that respect we differ from King (1980) who models tenure choice and the demand for housing simultaneously. Our results are not biased by the restriction to eligible renters because homeownership is not a realistic alternative for these households. Contrary to King (1980), we allow explicitly for the nonconvexities in the budget set of renters induced by the RA program.

The paper is organized as follows. In Section 2 we discuss the rules of the RA program. Section 3 introduces a structural Section 4. The model is estimated in Section 5, and Section 6 contains some implications of the estimates. In Section 7 we summarize the results.

## 2. The rent assistance program and rental housing supply

## 2.1. The rent assistance program

The eligibility for RA and the amount of the subsidy are determined by three parameters: household income, household composition and rent<sup>5</sup>. We refer to the relevant measure of rent paid as the RA rent. The RA rent includes some service charges, such as charges for heating and cleaning of communal space in an apartment building (but not of the apartments), but it excludes charges for cleaning windows or the rent of a garage that sometimes are paid with the rent.

A household is eligible for RA if the RA rent exceeds the norm rent, but is lower than the maximum rent. The norm rent is the rent that the household is supposed to be able to pay, given its composition and income. It depends on household taxable income in the calendar year preceding the program year<sup>6</sup>, and on household composition. Household taxable income is the sum of the taxable incomes of the household members. The norm rent increases with household taxable income, but decreases with family size. The only distinction made in household composition is between households having one member and households having two or more members. To be eligible for RA in the program year 1985/6 taxable income in 1984 had to be less than Dfl. 35 000 for households with two or more members or Dfl. 31 000 for households with only one member<sup>7</sup>. The maximum rent in 1985/6 was equal to Dfl. 8040 per year for households with two

<sup>&</sup>lt;sup>5</sup> The administration of the RA program is in the hands of the municipalities (in Dutch: gemeenten).

<sup>&</sup>lt;sup>6</sup> If taxable income is expected to change by more than 25% in the program year, an estimate of taxable income is used to compute the RA entitlement.

<sup>&</sup>lt;sup>7</sup> A household is not eligible for RA, irrespective of its income, if the value of its assets exceeds Dfl. 107 000.

or more members and Dfl. 6360 for households with one member. The household received no RA, if the RA rent exceeded the maximum rent. A household did also not qualify for RA if its RA rent was less than Dfl. 2960 per year. This is the lower bound on the norm rent<sup>8</sup>.

The amount of the subsidy is determined by the difference between the RA rent and the norm rent. The computation is illustrated in Fig. 1. The numbers refer to a household with two or more members. The computation is similar for households with one member. The lower boundary of the region in Fig. 1 is the norm rent. The lowest norm rent is Dfl. 2780 per year and the highest norm rent is Dfl. 7540 per year. The upper boundary of Fig. 1 reflects the maximum rent, Dfl. 8040 in this case. The norm rent is determined yearly by the government and is a step function of taxable household income. It is constant on intervals of width Dfl. 500 (taxable household income less than Dfl. 28000) or Dfl. 1000 (taxable household income between Dfl. 28 000 and Dfl. 35 000). The regions A-E correspond to different subsidy rates. In region A, the subsidy rate is 100%, in region B 90%, and in regions C, D and E it is 80%, 70% and 60%, respectively. The subsidy rates are applied to the difference between the RA rent and the norm rent that is in the

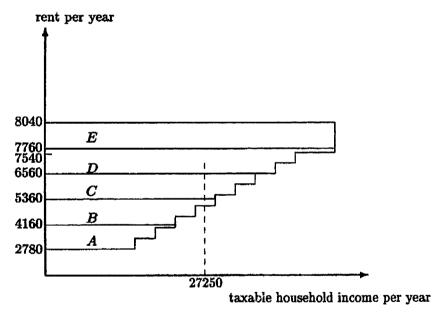


Fig. 1. Determination of RA.

<sup>&</sup>lt;sup>8</sup> To be precise, the lower bound on the norm rent in 1985/6 was Dfl. 2780, but RA was only paid if the subsidy exceeded Dfl. 180 per year.

<sup>&</sup>lt;sup>9</sup> In Fig. 1 the relation between household taxable income and norm rent is somewhat simplified.

relevant region. Consider, for example, a household with a taxable income of Dfl. 27 250 and an RA rent of Dfl. 7000. The norm rent for this household is Dfl. 4600, so that the RA computation is based on the difference, Dfl. 2400. This difference is in the regions B, C, and D, Dfl. 760 in B, 1200 in C and 440 in D. Hence, the subsidy is equal to  $0.90 \times 760 + 0.80 \times 1200 + 0.70 \times 440 = Dfl.$  1952. The subsidy is rounded to a smaller integer multiple of Dfl. 60, so that the subsidy is Dfl. 1920, 27% of the RA rent.

From Fig. 1 it is clear that the marginal price of housing services is not constant. Depending on household taxable income and the RA rent a household pays 0% (if the RA rent is in region A) to 100% (if the RA rent is not in the regions A-E) of an additional guilder spent on housing.

Note that the dependence of the norm rent on taxable income also increases the income tax rate, in particular for low-income families. Hence, the RA program could have an effect on the work effort. We neglect possible simultaneity of the labour supply and housing demand decision and this is justified by a specification test in Section 5.3. In general, RA is a non-negligible part of disposable income. In the data used in this paper, the average fraction of household disposable income derived from RA is 10% for RA recipients. For families in the first quartile of the income distribution, this fraction is 13%.

#### 2.2. Rental housing supply

We estimate the effect of RA on rental housing demand. In general price subsidies raise the price of the subsidized good. Hence, it is important to consider the supply of rental housing to low-income renters. Most of the rental housing stock (71%) in this segment is owned by housing associations, non-profit organizations that are subsidized by the central government. Municipalities and other non-profit organizations own 15% and the remaining 14% is owned by the private sector. There is national rent control in this segment of the market through the 'rent scoring system' (in Dutch: puntenstelsel). In this system scores are associated with size, year of construction, building costs, and amenities of the dwelling and the rent is determined by multiplying the total score by the rent per point<sup>10</sup>. The central government determines the yearly change in the rents. The rent scoring system has two effects. First, it increases the correlation between the (observed) quality of the dwelling and the rent. In the sequel we assume that the flow of housing services provided by a dwelling is proportional to its rent. Second, it limits the scope for fraudulent deals between renters and landlords, that are unlikely anyway because of the incentives of the owners11.

The government subsidizes the construction of housing and the renovation of existing dwellings for low-income households. These subsidies aim at satisfying

<sup>10</sup> Some deviation from this rent per point is allowed.

<sup>&</sup>lt;sup>11</sup> If housing corporations increase their rental income their subsidy is decreased.

the demand for housing at the price set by the government<sup>12</sup>. These policies were first implemented after the Second World War in reaction to an acute housing shortage, but have remained in place to this time in which there is no indication of aggregate excess demand<sup>13</sup>. The centrist parties that have been in power in this period have consistently supported these policies, and, as one would expect, vested interests that have developed in this period resist changes. Hence, government intervention ensures that the supply of rental housing in the market segment under consideration is infinitely elastic at a given price per unit of housing services, a price that is moreover the same for all households<sup>14</sup>. These conditions ensure that in estimating the effect of RA on housing demand we can ignore the supply side of the housing market.

## 3. A model of housing demand with rent assistance

#### 3.1. Household utility maximization

In this section we propose a model of housing demand in the presence of RA. We assume that the household is the decision making unit, and that its preferences can be described by a single utility function. The household divides its income between housing services and other consumption. The price of a unit of housing services is the same for all dwellings, and without loss of generality we set it to Dfl. 1<sup>15</sup>. Hence, the rent equals the quantity of housing services provided by the dwelling. However, the net price of additional housing services paid by households varies between RA recipients and nonrecipients. If housing consumption is increased by Dfl. 1.00, RA recipients pay only Dfl. 0.177 and non-recipients pay Dfl. 1.00. Because of the rent subsidy the net price of housing services varies between RA recipients (P = 0.177) and non-recipients (P = 1). We assume that the household maximizes its utility function subject to a budget constraint that is affected by the RA program. We also must take account of the partial take-up of RA benefits. The model we specify does not address the fact that moving involves transaction costs. If the costs are sufficiently high a household could be 'locked' into a dwelling it no longer prefers. We do not think that these considerations play an important role in our model. First, moving costs for renters (which is the

<sup>&</sup>lt;sup>12</sup> The data for this study were taken from the Housing Needs Survey, the government-sponsored 'market-research' that is used to predict whether additional housing construction is needed.

<sup>&</sup>lt;sup>13</sup> We do not claim that every household lives in its preferred dwelling. Households may have to settle for a dwelling that is suboptimal. In our model we allow for this type of 'rationing'.

<sup>&</sup>lt;sup>14</sup> Of course, delays in construction may cause temporary shortages if actual demand exceeds the predicted demand.

<sup>15</sup> As pointed out before the purpose of the rent guidelines of the Dutch government is to reduce dispersion of unit prices. Moreover, if the household faces unit price dispersion it may use the expected unit price to determine its demand for housing services.

population we consider) are negligible compared to moving costs incurred by home-owners. Second, we estimate our model both for households that moved recently and for a much larger group of households that moved longer ago. A comparison of the estimates for these groups provides a test of the importance of moving costs (see Section 5.3).

First, we discuss the budget constraint. Next, we specify household preferences and we consider the household maximization problem. Finally, we propose a model for the take-up of RA.

#### 3.2. The budget constraint with RA

The budget constraint of the household is

$$R + X = Y + S, (1)$$

where R denotes the rent, X the consumption of other goods, Y is disposable income and S is the RA subsidy, which may be 0. For R we shall use the RA rent. S is determined by the difference between the RA rent R and the norm rent  $R_n(Y_T, H)$  that depends on household taxable income  $Y_T$  and household composition H. Although the subsidy rate  $\delta$  depends on R (and  $Y_T$  and H) (see Fig. 1), we apply a constant subsidy rate to the difference. We set  $\delta = 0.823$ , which is the average rate for RA recipients in our sample. Using this simplification, we can compute the RA subsidy by

$$S = \begin{cases} \delta(R - R_n(Y_T, H)) & R_n(Y_T, H) \le R \le R_{\max}(H), \\ 0 & R < R_n(Y_T, H) \text{ or } R > R_{\max}(H), \end{cases}$$
 (2)

where  $R_{\text{max}}(H)$  is the maximum rent, that depends on the household composition. Substitution of Eq. (2) in Eq. (1) and some rewriting gives the budget constraint

$$R + X = Y \qquad R < R_n(Y_T, H) \text{ or } R > R_{\text{max}}(H),$$

$$(1 - \delta)R + X = Y - \delta R_n(Y_T, H) \qquad R_n(Y_T, H) \le R \le R_{\text{max}}(H).$$
(3)

If we set  $R_n = R_{\text{max}}$  for households that do not qualify for RA because their taxable income is too high, then Eq. (3) applies to all households in the population.

Eq. (3) makes clear that RA has two effects on the budget constraint. First, it reduces the (marginal) price of housing services from 1 to  $1-\delta$ . Second, it has a negative effect on disposable income. To be eligible for RA the household must consume an amount of housing services that exceeds the norm rent.  $\delta R_n$  can be considered as a fixed cost, which has to be incurred in order to be eligible for RA. Following, for example, Blomquist (1983) we define virtual income  $Y_n$  by

$$Y_{\nu} = Y - \delta R_{-}(Y_{\tau}, H).$$

Hence we can rewrite the second line in Eq. (3) as

$$(1-\delta)R + X = Y_{v} R_{n}(Y_{T}, H) \leq R \leq R_{\max}(H).$$

The fixed cost is on average Dfl. 2735 per year which equals 14% of average disposable household income.

The budget constraint of an RA recipient is drawn in Fig. 2. It is evident that the budget set of an RA recipient is non-convex. The slope of the segments YA and A''Y' is 1, while the slope of the segment AA' is  $1-\delta$ , reflecting the lower marginal price of housing services under RA.

From Fig. 2 we see that households that would choose an (R, X) combination on the segment AA'' in the absence of RA move to AA' after introduction of RA. Moreover, some households that give housing low priority move from YA to AA'. Without knowledge of the preferences of the household we can not make more precise predictions.

# 3.3. Preferences and utility maximization

We assume that household preferences can be represented by the utility function

$$u(R,X) = \left(\frac{R}{\beta_1} + \frac{\beta_2}{\beta_1^2}\right) \exp\left(\frac{\beta_1^2 X - \beta_1 R + \beta_0 \beta_1}{\beta_2 + \beta_1 R}\right). \tag{4}$$

In Section 5.3 we test whether this specification is too restrictive. This utility

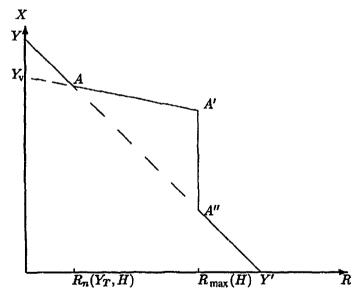


Fig. 2. Budget set of RA recipient.

function corresponds to a proper preference ordering if its parameters satisfy the Slutsky condition in Eq. (8) below. If we maximize Eq. (4) subject to a linear budget constraint

$$pR + X = Y, (5)$$

we obtain the indirect utility function

$$\nu(p, Y) = \left(Y + \frac{\beta_2}{\beta_1} p + \frac{\beta_2}{\beta_1^2} + \frac{\beta_0}{\beta_1}\right) \exp(-\beta_1 p), \tag{6}$$

and the demand for housing services

$$R = \beta_0 + \beta_1 Y + \beta_2 p. \tag{7}$$

We are somewhat restricted in our choice of preference structure, because we need an explicit expression for either the direct or the indirect utility function.

According to the Slutsky condition, the parameters of demand Eq. (7) have to satisfy the following restriction:

$$\frac{\partial R}{\partial Y} \cdot R + \frac{\partial R}{\partial p} = \beta_1 R + \beta_2 \le 0. \tag{8}$$

If the parameters do not satisfy this restriction, then the solution Eq. (7) does not satisfy the second-order conditions for the maximization of utility function Eq. (4) subject to budget constraint Eq. (5).

The budget set in Fig. 2 is non-convex. It can be decomposed in two convex sets whose union is the original non-convex budget set. Let budget set A be defined as YAA''Y' and budget set B as  $Y_{\nu}AA'A''R_{max}$  in Fig. 2. We consider utility maximization subject to the budget constraints A and B separately. The optimal choice with budget constraint A, which is the constraint faced by households that are not eligible for RA, is denoted by  $(R_A, X_A)$ . The optimal choice with budget set B is  $(R_B, X_B)$ . The utility maximizing (R, X) is found by comparing  $u(R_A, X_A)$  and  $u(R_B, X_B)$ .

Note that this solution method requires knowledge of the direct utility function u(R, X). A solution method that only requires the indirect utility function is preferable, because by Roy's identity we can obtain the demand for housing services directly from the indirect utility function. Hence, expressing the decision to apply for RA in terms of the indirect utility function gives us additional flexibility in the selection of functional forms, because an explicit solution for the direct utility function is not required. If we ignore the constraint  $R < R_{max}(H)$ , i.e. if we assume that the preferences are such that optimal choice under RA is always on the interior of  $Y_vA'$ , then an eligible household will choose a dwelling with RA if and only if

$$\nu(1-\delta,Y_{\nu}) > \nu(1,Y). \tag{9}$$

and the indirect utility function in Eq. (6) leads to the following demand equations (here and in the sequel  $R_A$  and  $R_B$  refer to unrestricted choices):

$$R = \begin{cases} R_A = \beta_0 + \beta_2 + \beta_1 Y & \text{if not RA,} \\ R_B = \beta_0 + \beta_2 (1 - \delta) + \beta_1 Y_v & \text{if RA,} \end{cases}$$
 (10)

with, according to Eq. (9),

$$RA \Leftrightarrow I^* = \nu(1 - \delta, Y_{\nu}) - \nu(1, Y) > 0, \tag{11}$$

where

$$I^{*} = \left(\frac{\beta_{2}}{\beta_{1}}(1-\delta) + \frac{\beta_{2}}{\beta_{1}^{2}} + \frac{\beta_{0}}{\beta_{1}}\right) \exp(-\beta_{1}(1-\delta))$$

$$-\left(\frac{\beta_{2}}{\beta_{1}} + \frac{\beta_{2}}{\beta_{1}^{2}} + \frac{\beta_{0}}{\beta_{1}}\right) \exp(-\beta_{1}) + Y_{v} \exp(-\beta_{1}(1-\delta)) - Y \exp(-\beta_{1}).$$
(12)

We can easily acknowledge the constraint  $R < R_{\text{max}}$  in the RA regime using the results in Neary and Roberts (1980). Eq. (10) results in a reduced form that is linear in parameters, but such a simplification is not obtained if we model the kink at  $R_{\text{max}}$  explicitly because the price and income that support this choice are nonlinear functions of the parameters. Although these problems are not insurmountable, we shall see in Section 4 that the fraction of households that choose a corner solution is 0, and that very few households pay a rent larger than  $R_{\text{max}}$ . Hence, in practice the constraint is not binding, and we use Eq. (10) as the basis for the empirical analysis.

## 3.4. Modelling the take-up of RA

It is well known, that the take-up of income-support programs is in general less than 100%, see for instance Blundell et al. (1988); Moffitt (1983). For the RA program, this fact has also been documented. Estimates of the take-up rate for RA vary from 44% to 76% (Konings and Van Oorschot, 1990). We shall incorporate a take-up decision in the model in Eqs. (10)-(12).

One can think of at least two reasons why households do not apply for RA, even though they are entitled to benefits. First of all, the household may be unaware of its entitlement. As seen in Section 2, the program is rather complex, and it is not immediately clear if a household is entitled to an RA subridy, given its income and rent. The second reason for not using the program is the existence of application costs. These costs can be monetary (one has to make xeroxes, fill in forms, read information, etc.) and non-monetary (stigma associated with using a government income-support program; cf. Moffitt, 1983).

Our empirical results show that the take-up is strongly related to the amount of

benefit that one would obtain under RA. This is consistent with the presence of application costs, and hence we model the take-up by introducing such costs.

Let the costs be denoted by C'. Household income under RA is now  $Y_v - C'$ , with indirect utility  $\nu(1-\delta, Y_v - C')$ . Hence, a household will choose a dwelling with RA, if  $\nu(1-\delta, Y_v - C') > \nu(1, Y)$ . In this approach we can also take account of non-monetary indirect utility costs. Suppose these non-monetary costs are  $\bar{\nu}$  (measured in utils). Then, the household will choose a rent with RA, if  $\nu(1-\delta, Y_v - C') - \nu(1, Y) > \bar{\nu}$ , which with specification Eq. (6) can be rewritten as

$$\nu(1-\delta, Y_{\nu}) - \nu(1, Y) > C' \exp(-\beta_1(1-\delta)) + \bar{\nu}. \tag{13}$$

If we redefine the costs incurred as  $C = C' + \bar{\nu}/\exp[-\beta_1(1-\delta)]$ , one sees that a household will choose a rent with RA if

$$\nu(1-\delta, Y_{\nu}-C)-\nu(1, Y)>0. \tag{14}$$

The non-monetary costs  $\bar{\nu}$  are valued at the marginal utility of income. In the present model, monetary and non-monetary application costs reduce virtual income  $Y_{\nu}$  under RA. Note that we do not distinguish between monetary and non-monetary application costs.

The effect of application costs on the budget constraint is illustrated in Fig. 3. The budget constraint with application costs is YABB'A''Y'. The effect of RA on households with rents on AA'' is different with and without application costs. In both cases households on B''A'' will apply for RA. However, if C=0 all

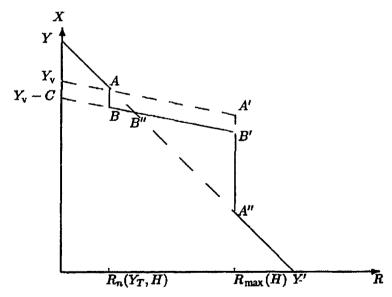


Fig. 3. The consequences of application costs.

households on AB'' will apply, but whether a household on AB'' will apply if C>0 depends on its relative preference for housing services. Households with low relative preferences will choose not to apply. Hence, if there are application costs then application for RA is positively related to the amount of the entitlement.

#### 4. The data

# 4.1. Description of the data and descriptive statistics

The empirical analysis used data from the Housing Needs Survey 1985/86 (to be abbreviated as HNS 85/6). This survey is based on a large sample from the Dutch population (54 342 responding households, with the sample size being 70 816). The sample and the sample design are described in detail in Central Bureau of Statistics (1990). For our purposes, we can consider the sample as a random sample of households. The survey contains detailed information on the dwelling of the households, as well as on their socio-economic characteristics.

We do not use all sample households in the analysis. We restrict ourselves to renters who satisfy certain criteria 16. Most selections are made to ensure that the utility-maximizing model is a reasonable description of household behaviour. We retain only households of which either the head of the household or his/her partner are interviewed. Moreover, we only consider households with a taxable income that entitles it to RA. Whether a potential RA recipient actually receives RA is another matter.

There are three reasons why a potential RA recipient does not receive RA: the rent paid is smaller than the norm rent, the rent paid is higher than the maximum rent or the household is eligible for RA, but it does not apply for the subsidy. In the sample we find that very few households do not receive RA because their rent exceeds the maximum rent. Moreover, there is no indication that households in the RA regime are constrained by the restriction that the rent should not exceed the maximum rent. If this were the case, we would observe a clustering of observed rents at and slightly below the maximum rent, which we do not. The density of the observed rents is shown in Fig. 4. For these reasons, we select only those households whose rent is below the maximum rent and for these households we neglect the constraint that the rent should not exceed the maximum rent. This selection facilitates the empirical analysis.

We want to include only households that are utility maximizers. A standard approach in the literature is to select households that have moved recently (see, e.g. Ball and Kirwan, 1977). Households that moved a long time ago may no longer be in equilibrium, because adjustment costs may prevent them from moving to another dwelling. By retaining only those households that have moved recently,

<sup>&</sup>lt;sup>16</sup> An appendix with these criteria is available on request.

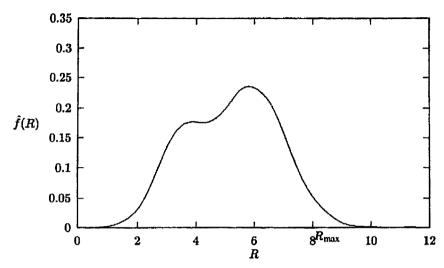


Fig. 4. Nonparametric estimate of density of rents, multiple person households (standard normal kernel, h=0.376).

we hope that the observed consumption of housing services is close to the utility maximizing level of consumption. In Section 5 we test whether this restriction biases our results.

We use some additional information to identify utility-maximizing households. In the HNS 85/6, households were asked if they intended to move within two years and whether they were satisfied with their dwelling and neighbourhood. We select those households which claimed to have no intentions of moving within two years and which were reasonably happy with their dwelling and neighbourhood. Even though this selection is based on intentions and not on observed behaviour, we think that it improves the correspondence between the data and the model.

A problem in analyzing housing demand is that we only observe housing expenditures. Housing expenditures are the product of the unit price of housing services and the quantity of housing services. However, price and quantity are not observed separately. For that reason we assume that the unit price of housing services is the same for all rental dwellings. In other words, differences in rents reflect differences in the quantity of housing services rather than differences in the price of housing services. We normalize the price component to 1. Every other normalization would do, because it merely changes the units of measurement of the quantity of housing services. Hence, the only price variation we allow for is the price variation due to the RA program.

For each household in the sample we computed its RA entitlement using information on household taxable income and family composition. The income measure needed for the calculation of the RA benefit in the year July 1 1985—June 30 1986 is taxable household income in 1984. However, taxable income in the

HNS 85/6 is measured over the year 1985. We assumed that taxable wage income increased by 2% from 1984 to 1985<sup>17</sup>, and we assumed that social security benefits remained constant. This enabled us to estimate taxable household income in 1984.

We present some summary statistics in Table 1. All variables have been introduced before, except SIZE and AGE. SIZE is the size of the household and AGE is the age of the head of the household. All monetary variables are measured in thousands of guilders (per year). The variable Rent assistance in Table 1 is the computed RA subsidy, i.e. the outcome of our computation of the RA benefits. The household may or may not take up these benefits.

Note that RA recipients spend, on average, more on housing than non-recipients. This may be due to the lower price of housing in the RA regime, but it may also be a consequence of the threshold, i.e. the norm rent, in the RA program. We also see that the fixed cost of entering the program (the difference between Y and  $Y_v$ , see Section 3.2) is higher for non-recipients than for recipients. The differences in household size and age between the two groups are small.

Note that the average computed RA subsidy is not zero for households that do not receive RA. This means that there are households that are entitled to an RA benefit, but that do not receive the benefit. In fact, in our sample the take-up is 63.9%. The partial take-up of RA benefits will receive explicit attention in our empirical model.

Table 1
Means of variables, standard deviations in parentheses

Variable	Full sample	RA recipients	non RA recipients
Income (Y)	22.93	20.83	24.28
	(6.00)	(5.32)	(6.03)
Virtual income (Y,)	19.48	18.02	20.42
·	(5.07)	(4.78)	(5.03)
Rent (R)	4.84	5.62	4.34
	(1.52)	(1.23)	(1.48)
Norm rent (R <sub>n</sub> )	4.12	3.36	4.61
· <del>-</del>	(1.47)	(0.90)	(1.56)
Rent assistance (S)	1.08	2.01	0.48
	(1.20)	(1.05)	(0.86)
Entitled to RA	61.4%	100%	36.5%
Price (p)	0.68	0.18	1.00
Size	2.35	2.40	2.32
	(1.31)	(1.28)	(1.32)
Age	43.72	45.73	42.42
	(18.75)	(19.50)	(18.14)
Observations	1809	710	1099

<sup>&</sup>lt;sup>17</sup> See Central Planning Bureau (1986), Table IV.8.

## 4.2. A preliminary analysis

From Table 1 we can obtain crude estimates of the price and income elasticity of housing demand. We estimate the price elasticity by

$$\hat{\eta}_p = \frac{(\bar{R}_B - \bar{R}_A)/\bar{R}}{(\bar{p}_B - \bar{p}_A)/\bar{p}} = -0.22,$$

where  $\bar{R}_A$  is the average rent paid by non RA-recipients,  $\bar{R}_B$  the average rent paid by RA-recipients,  $\bar{R}$  the average rent paid in the sample, etc. If the income elasticity of housing demand is positive, this is an underestimate because the average income of RA-recipients is lower than that of non-recipients. However, if we use a similar procedure to estimate the income elasticity of housing demand, we obtain  $\hat{\eta}_Y = -1.76$ . This counterintuitive result is a direct consequence of the stronger incentives of the RA program for lower income households.

We can avoid the use of between-regime income variation by a slightly more sophisticated analysis in which we regress the rent on price and income. The resulting price and income elasticities are  $\hat{\eta}_{x} = -0.27$  and  $\hat{\eta}_{y} = 0.43$ .

It must be stressed that these estimates may still be biased. First, the norm rent may have an upward effect on the rents paid in the RA regime, resulting in an upward bias in the absolute value of the price elasticity. Moreover, its dependence on income may induce an upward bias in the estimate of the income elasticity. Second, the price may be endogenous, e.g. because RA-recipients may have a relatively strong preference for housing services causing an upward bias in the absolute value of the price elasticity. Third, we have not distinguished between non-recipients with and without entitlement to RA. Fourth, for RA-recipients the appropriate income measure is virtual income  $Y_v$  that includes the fixed costs of RA. The structural model of the next section will deal with these potential biases.

One implication of our theoretical model is that there is a positive relationship between the take-up of the RA benefits and the amount of the benefit (see Section 3.4). We examine this by estimating a probit model for households entitled to RA, with the dependent variable being 1 if the households exercises its entitlement to RA and 0 otherwise, and with independent variables the amount of RA (S) and income (Y) (both variables are measured in thousands of guilders). The estimation results and standard errors are:

constant	S	Y
-0.30	0.40	-0.00076
(0.19)	(0.040)	(0.0075)

Only the coefficient of S is significant at a 5% level. The coefficients of other variables such as the size of the household and a dummy for higher education, are not significantly different from 0. The estimated coefficient of S implies that a 4%

increase of the subsidy is associated with a 1% point increase of the probability of taking up the subsidy<sup>18</sup>. If we set S and Y to the mean subsidy and income of households that do not take up their benefit, the probability of taking up RA is equal to 58%, if we estimate this probability for RA recipients it increases to 69%. If the subsidy is set to the maximum amount possible, the probability of taking up increases further to 93%. We conclude that there is a strong positive relation between take-up and the amount of the benefit, as is predicted by the model in Section 3.4.

## 5. An empirical model of rental housing demand

In this section, we first discuss our estimation strategy, that we then use to obtain estimates of the parameters of the model. The estimation strategy consists of three steps. First, we choose a stochastic specification for the structural model of rental housing demand. Next, we note that the structural model can be obtained by restricting the parameters of a reduced form model. We derive the likelihood function of this reduced form model. Finally, we obtain the structural parameters from the reduced form parameters by the minimum distance method. This estimation procedure is computationally simpler than and asymptotically equivalent to maximum likelihood estimation of the structural model. In Section 5.2 we present our empirical results. The results of some specification tests are discussed in Section 5.3.

# 5.1. Stochastic specification and estimation strategy

The model of the previous section is not suited to estimation. It assumes that every household has the same preference structure, i.e. the same  $\beta$ . One can model variation in preferences by making  $\beta$  dependent on demographic characteristics, but not all variation can be explained by a few variables. Moreover, we have seen in the last section that with respect to demographic variables as household size and age of the head, households that receive RA do not differ much from households that do not receive RA. Therefore, it is unlikely that the difference in average housing demand between RA recipients and other households can be attributed to differences in demographic characteristics. We model heterogeneity of preferences by making  $\beta_0$  a random variable that varies over the population. The marginal rate of substitution between housing services and other goods is  $-(\beta_1 X - R + \beta_0)/(\beta_2 + \beta_1 R) = u_R'/u_X'$ . If the Slutsky condition is satisfied, the denominator is negative and the marginal rate of substitution increases linearly with  $\beta_0$ . Households with a large  $\beta_0$  strongly prefer housing over other goods.

Let  $\beta_0$  be normally distributed with mean  $\delta_0$  and variance  $\sigma_{\zeta}^2$ :  $\beta_0 \sim \mathcal{N}(\delta_0, \sigma_{\zeta}^2)$ .

<sup>18</sup> For this calculation we set S and Y to the mean subsidy and income of households entitled to RA.

The deviation of  $\beta_0$  from its mean is denoted by  $\zeta$ . If all variation in housing demand is due to preference and income variation, the stochastic version of our demand model becomes:

$$R = \begin{cases} \delta_0 + \beta_2 + \beta_1 Y + \zeta & I = 0 \\ \delta_0 + \beta_2 (1 - \delta) + \beta_1 Y_v + \zeta > R_n & I = 1 \end{cases}$$

$$I^* = \left(\frac{\beta_2}{\beta_1} (1 - \delta) + \frac{\beta_2}{\beta_1^2} + \frac{\delta_0}{\beta_1}\right) \exp(-\beta_1 (1 - \delta))$$

$$-\left(\frac{\beta_2}{\beta_1} + \frac{\beta_2}{\beta_1^2} + \frac{\delta_0}{\beta_1}\right) \exp(-\beta_1) + \exp(-\beta_1 (1 - \delta)) Y_v - \exp(-\beta_1) Y$$

$$- \exp(-\beta_1 (1 - \delta)) C + \left(\frac{\exp(-\beta_1 (1 - \delta)) - \exp(-\beta_1)}{\beta_1}\right) \zeta,$$

$$I = \begin{cases} 0 & I^* < 0 \\ 1 & I^* \ge 0 \end{cases}$$

$$(15)$$

Since rents in the RA regime (I=1) necessarily exceed the norm rent  $R_n$ , the distribution of rents in this regime is truncated from below. In Eq. (15), and later on, this is indicated by ' $>R_n$ ' after the demand equation. Note that if  $\beta_1>0$ , then  $I^*$  is increasing in  $\zeta$ , i.e. households with a relatively strong preference for housing are more likely to receive RA.

Of course, it is overly restrictive to allow only for preference heterogeneity. Another source of variation in the demand equation is the difference between the realized consumption of housing services and the desired consumption of these services. At the moment of the decision the desired type of dwelling may not be available, and the household must settle for a dwelling that either provides a larger or smaller amount of housing services. We assume that on average households realize their desired level of consumption. This assumption will be tested in Section 5.3. The assumption is in line with the fact that aggregate demand and supply are approximately equal (see Section 2.2). Because it may be easier to find a dwelling with the desired level of housing services in either the RA- or non-RA regime, the variance of this optimization-failure disturbance term need not be equal in both regimes. Households that prefer the RA regime face a restriction when choosing a particular dwelling. Even if the actual level of housing services provided by the dwelling is not equal to the desired level, it must exceed the level corresponding to the norm rent. We assume that households in the RA regime are aware of this restriction, so that the rents in the RA regime are truncated at the norm rent. Households that prefer the non-RA regime do not face a similar restriction, because there is no obligation to take up the RA benefits. Note that the truncation in the RA regime only is needed if we allow for optimization errors. In Eq. (15) the rent in the RA regime necessarily exceeds  $R_n$ . We also allow for

additional variation in the regime allocation equation that reflects among other things unobserved heterogeneity in C.

The complete stochastic specification of our model is now:

$$R = \begin{cases} \delta_{0} + \beta_{2} + \beta_{1} Y + \zeta + v_{1} & I = 0 \\ \delta_{0} + \beta_{2} (1 - \delta) + \beta_{1} Y_{y} + \zeta + v_{2} > R_{n} & I = 1 \end{cases}$$

$$I^{*} = \left(\frac{\beta_{2}}{\beta_{1}} (1 - \delta) + \frac{\beta_{2}}{\beta_{1}^{2}} + \frac{\delta_{0}}{\beta_{1}}\right) \exp(-\beta_{1} (1 - \delta))$$

$$-\left(\frac{\beta_{2}}{\beta_{1}} + \frac{\beta_{2}}{\beta_{1}^{2}} + \frac{\delta_{0}}{\beta_{1}}\right) \exp(-\beta_{1}) + \exp(-\beta_{1} (1 - \delta)) Y_{y} - \exp(-\beta_{1}) Y$$

$$- \exp(-\beta_{1} (1 - \delta)) C + \left(\frac{\exp(-\beta_{1} (1 - \delta)) - \exp(-\beta_{1})}{\beta_{1}}\right) \zeta + v_{3}, \quad (18)$$

$$I = \begin{cases} 0 & I^{*} < 0 \\ 1 & I^{*} \ge 0 \end{cases}$$

We assume that the preference heterogeneity  $\zeta$  is independent of the optimization errors  $\nu_1$ ,  $\nu_2$  and  $\nu_3$ . The variances of these terms will be denoted by  $\sigma_{\zeta}^2$ ,  $\sigma_1^2$ ,  $\sigma_2^2$  and  $\sigma_3^2$ , respectively.

If we ignore the parameter restrictions on Eqs. (17) and (18), the corresponding reduced form model is:

$$R = \begin{cases} \alpha_0 + \alpha_Y Y + \varepsilon_1 & I = 0\\ \alpha_1 + \alpha_Y Y_v + \varepsilon_2 > R_n & I = 1 \end{cases}$$
 (19)

$$I^{*} = \gamma_0 + \gamma_Y Y_V + \gamma_Y Y + \eta \tag{20}$$

$$I = \begin{cases} 0 & I^* < 0 \\ 1 & I^* \ge 0 \end{cases}$$

For future reference, we define  $\bar{R}_A$  to be the systematic part of the first equation, i.e.  $\bar{R}_A = \alpha_0 + \alpha_Y Y$ .  $\bar{R}_B$  and  $\bar{I}$  are defined analogously as the systematic parts of the second demand equation and the regime allocation equation.

The distribution of the disturbances is

$$\begin{pmatrix} \varepsilon_1 \\ \varepsilon_2 \\ \eta \end{pmatrix} \sim \mathcal{N} \left( 0, \begin{pmatrix} \sigma_{s_1}^2 & \cdot & \sigma_{s_1\eta} \\ & \sigma_{s_2}^2 & \sigma_{s_2\eta} \\ & & 1 \end{pmatrix} \right).$$

We impose the conventional normalization  $\sigma_n^2 = 1$ .

The identification of the structural parameters from the reduced form parameters proceeds as follows. First,  $\beta_1$  is equal to  $\alpha_Y$  or  $\alpha_{Y_0}$ . The equality of  $\alpha_Y$  and  $\alpha_{Y_0}$  is an overidentifying restriction on the demand equations. Secondly,  $\alpha_0 - \alpha_1 = \beta_2 \delta$  and hence this difference identifies  $\beta_2$ . Because we have identified  $\beta_1$ , we can

identify  $\sigma_{\xi}^2$  from either  $\text{cov}(\varepsilon_1, \eta)$  or  $\text{cov}(\varepsilon_2, \eta)$ . The equality of these covariances is a second overidentifying restriction. In the regime allocation equation the ratio of  $\gamma_{r_e}$  and  $\gamma_r$  identifies  $\beta_1$ . This is a third overidentifying restriction:

$$\alpha_{\gamma}(=\alpha_{\gamma_{\gamma}}) = \frac{1}{\delta} \log \left(-\frac{\gamma_{\gamma_{\gamma}}}{\gamma_{\gamma}}\right). \tag{21}$$

Because  $\delta_0$ ,  $\beta_1$  and  $\beta_2$  are identified from the demand equations the constant of the regime allocation equation just identifies C. Hence, there are three overidentifying restrictions. If we set the application costs C to zero, then there is an additional overidentifying restriction. Since all parameters in the regime allocation equation are identified from the parameters of the demand equations, the variance of  $\eta$  is identified as well. Since  $\sigma_{\zeta}^2$  is identified, this in turn identifies the variance of  $\nu_3$ .

The model in Eqs. (19) and (20) is a switching regression model. The only regressors that appear are Y and  $Y_v$  and they appear in both the demand and the regime choice equations. Switching regression models that have the same regressors in the regression and allocation equations are identified if the selection effect in the regression equations is a nonlinear function of the regressors. This is a weak basis for identification, because the nonlinearity is due to arbitrary assumptions on the joint distribution of the disturbances. We can only avoid such arbitrary identifying restrictions if there are regressors that enter the regime allocation but not the demand equations. Candidates are variables that affect the take-up of RA, but not housing demand. However, even if such variables are not available, identification of the reduced form can be secured.

To see this, we rewrite the reduced form using the definition of  $Y_{\alpha}$  to obtain

$$R = \begin{cases} \alpha_0 + \alpha_Y Y + \varepsilon_1, & I = 0 \\ \alpha_1 + \alpha_{Y_y} Y - \alpha_{Y_y} \delta R_n + \varepsilon_2, & I = 1 \end{cases}$$

$$I^* = \gamma_0 + (\gamma_{Y_x} + \gamma_Y) Y - \gamma_{Y_x} \delta R_n + \eta$$

Now note that the entry fee  $\delta R_n$  enters in the allocation equation, but not in the demand equation of the non-RA households. Hence, the demand equation in the non-RA regime is not just identified from arbitrary nonlinearity. The demand equation in the RA regime depends both on Y and  $\delta R_n$ , and hence we need a restriction on  $\alpha_{Y_n}$  to identify this equation. The obvious restriction is  $\alpha_Y = \alpha_{Y_n}$ . Rewriting the allocation equation as a function of  $Y_n$  and  $\delta R_n$  gives the same result. An obvious objection is that Y and  $\delta R_n$  may be strongly correlated. However, it should be remembered that the entry fee depends on taxable income and deductibles and progressive taxation reduce the correlation between disposable income and taxable income. The relation between taxable income and the entry fee is nonlinear and has been determined by the central government. If identification results from the fact that  $\delta R_n$  is just a nonlinear function of Y then estimates of the reduced form parameters should be sensitive to the inclusion of powers of Y and  $Y_n$ .

in the demand equations. We test this in Section 5.3. Hence the implicit entry fee secures identification, if we maintain the hypothesis  $\alpha_{\gamma} = \alpha_{\gamma_{\gamma}}$ . In the estimation we did not impose this restriction and tests of this restriction should be considered with some reservation.

On the assumption that the regime choice precedes the choice of a dwelling, the loglikelihood of this model is given by

$$l(\theta) = \sum_{I_{i}=0} \log f(R_{i}, I_{i}) + \sum_{I_{i}=1} \log f(R_{i}|I_{i}, R_{i} \geq R_{ni})f(I_{i})$$

$$= \sum_{I_{i}=0} \log \int_{-\infty}^{-I_{i}} f_{\varepsilon_{1}\eta}(R_{i} - \bar{R}_{Ai}, \eta)d\eta$$

$$+ \sum_{I_{i}=1} \log \frac{\int_{\varepsilon_{2}\eta} (R_{i} - \bar{R}_{Bi}, \eta)d\eta}{\Pr(R_{Bi} \geq R_{ni}, I_{i}^{*} \geq 0)} \int_{-I_{i}}^{I} f_{\eta}(\eta)d\eta$$

$$= \sum_{I_{i}=0} (\log f_{\varepsilon_{1}}(R_{i} - \bar{R}_{Ai}) + \log \Pr(\eta < -\bar{I}_{i}|\varepsilon_{1} = R_{i} - \bar{R}_{Ai}))$$

$$+ \sum_{I_{i}=1} (\log f_{\varepsilon_{2}}(R_{i} - \bar{R}_{Bi}) + \log \Pr(\eta \geq -\bar{I}_{i}|\varepsilon_{2} = R_{i} - \bar{R}_{Bi})$$

$$- \log \Pr(\eta \geq -\bar{I}_{i}, \varepsilon_{2} \geq R_{ni} - \bar{R}_{Bi}) + \log \Pr(\eta \geq -\bar{I}_{i}). \tag{22}$$

Here,  $f_{\varepsilon_1\eta}$  denotes the bivariate density of  $(\varepsilon_1,\eta)$ ,  $f_{\varepsilon_1}$  the marginal density of  $\varepsilon_1$ , etc., and  $\theta$  is the vector of identified parameters:

$$\theta' = (\alpha_0 \; \alpha_Y \; \alpha_1 \; \alpha_{Y_{\mathbf{v}}} \; \gamma_0 \; \gamma_{Y_{\mathbf{v}}} \; \gamma_Y \; \sigma_{\varepsilon_1 \eta} \; \sigma_{\varepsilon_2 \eta} \; \sigma_{\varepsilon_1}^2 \; \sigma_{\varepsilon_2}^2).$$

The loglikelihood function does not depend on  $cov(\varepsilon_1, \varepsilon_2)$ . Since we only observe housing demand in one of the two possible regimes, it is hardly surprising that this parameter is not identified.

The structural model in Eq. (17) follows from the reduced form model by imposing parametric restrictions. Let these restrictions be given by <sup>19</sup>:

$$\theta = \pi(\psi)$$
.

We estimate the structural parameters  $\psi$  by the minimum distance method (see, for instance, Chamberlain, 1984). An estimate of  $\psi$  is obtained by minimizing the quadratic form

<sup>&</sup>lt;sup>19</sup> An appendix with the exact form of the restrictions in the present case is available on request.

$$S_{N} = (\hat{\theta} - \pi(\psi))' A_{N}(\hat{\theta} - \pi(\psi)), \tag{23}$$

with  $A_N$  a possibly stochastic, symmetric weighting matrix and  $\hat{\theta}$  the maximum likelihood estimator of  $\theta$ . Under certain regularity conditions, the asymptotic distribution of  $\hat{\psi}$  is

$$\sqrt{N}(\hat{\psi}-\psi)\sim\mathcal{N}(0,(F'AF)^{-1}F'A(\text{var }\hat{\theta})AF(F'AF)^{-1})$$

where  $A = \text{plim } A_N$  and  $F = (\partial \pi(\psi)/\partial \psi')$ . It is easily seen that choosing the weighting matrix  $A_N = (\text{var } \hat{\theta})^{-1}$  yields the estimator for  $\psi$  with the smallest variance. However, the minimand of Eq. (23) is a consistent estimator for  $\psi$ , regardless of the choice of  $A_N$ . If the restrictions are true, then minimum distance estimation with weighting matrix  $(\text{var } \hat{\theta})^{-1}$  yields an estimator which has the same asymptotic distribution as the maximum likelihood estimator.

If the structural model is just identified,  $\psi(\cdot)$  will be one-to-one and the minimum of the quadratic form Eq. (23) is 0. On the other hand, if the structural model is overidentified, then  $S_N$  can be used to test these restrictions. To be precise, under the null hypothesis that the restrictions are satisfied, we have that  $S_N \stackrel{\text{asy}}{\sim} \chi^2(p)$ , with p the number of overidentifying restrictions.

#### 5.2. Empirical results

The estimation results for the reduced form model in Eqs. (19) and (20) are given in Table 2. All calculations were performed using the MAXLIK- and OPTMUM-routines of GAUSS386VM on a 486 personal computer.

The empirical results of the reduced form are in accordance with our expectations: the income effect is positive and significantly so in both demand equations. The price effect is negative, as can be seen from the difference between the intercepts. The estimates of  $\gamma_{r_v}$  and  $\gamma_r$  have an opposite sign, as in the regime allocation Eq. (18). Moreover,  $\gamma_{r_v}$  is slightly larger in absolute value than  $\gamma_r$ ,

Table 2
Estimation results, reduced form model (standard errors in parentheses)

Parameter		Parameter		Parameter	
<u>α</u> <sub>0</sub>	2.26	7/0	1.12	$\sigma_{e_{ \eta}}$	0.16
	(0.27)		(0.13)		(0.15)
$\alpha_{\gamma}$	0.089	$\gamma_{r_{v}}$	0.75	$\sigma_{_{\!r_2\eta}}$	0.37
	(0.0088)		(0.054)		(0.25)
$\alpha_1$	4.11	$\gamma_{r}$	-0.71	$\sigma_{\epsilon_1}$	1.37
	(0.26)		(0.047)	•	(0.030)
$\alpha_{\gamma_{\mathbf{v}}}$	0.058			$\sigma_{\kappa_2}$	1.28
••	(110.0)			∡	(0.051)
ln(ℓ)	-3973.52				
Observations	1809				

which was expected from the theoretical model as well. The covariances between the disturbance of the regime allocation equation and those of the demand equations are small and positive, though not significantly different from 0. The implied correlations are  $\hat{\rho}_{\varepsilon_1\eta} = 0.14$  and  $\hat{\rho}_{\varepsilon_2\eta} = 0.33$ . Two restrictions implied by the structural model can be imposed on the reduced form directly, viz.  $\alpha_{\gamma} = \alpha_{\gamma_{\nu}}$  and  $\text{cov}(\varepsilon_1, \eta) = \text{cov}(\varepsilon_2, \eta)$ . The resulting reduced form estimates are very similar to the ones reported in Table 2 and the restrictions are not rejected as is seen from the likelihood-ratio test statistic (LR = 4.70,  $\chi_{0.95}^2(2) = 5.99$ ).

The parameter estimates for the structural model, obtained by minimum distance estimation, are given in Table 3. The weighting matrix used is  $A_N = (\text{var } \hat{\theta})^{-1}$ .

We give estimates of the structural model both with and without application costs. If we estimate the structural model with C=0 then the restrictions are rejected  $(S_N=265.95, \chi_{0.95}^2(4)=9.47)$ . Allowing for application costs yields larger estimates for the price and income effects and the remaining restrictions on the reduced form are not rejected  $(S_N=4.74, \chi_{0.95}^2(3)=7.81)$ . The reason that the restrictions for the structural model without application costs are rejected is that the overidentifying restriction on the intercept of the regime allocation equation is rejected. As indicated above, no problems arise from the restrictions  $\alpha_Y = \alpha_{Y_V}$  and  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$ . Moreover, note that the estimate for the income effect based on  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$ . Moreover, note that the estimate for the income effect based on  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$  and  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$  which is neatly between  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$ . Hence, the rejection of the restrictions is caused by rejection of the restriction on  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$  and hence, by the restriction that there are no application costs  $\alpha_{Y_V} = \cos(\epsilon_2, \eta)$ .

The implied price elasticity evaluated at the average rent and price (R=4.84) and

Table 3
Estimation results, structural model (standard errors in parentheses)

Parameter	Application costs	No application costs	
$\delta_0$	4.08	3.89	
•	(0.13)	(0.13)	
<b>β</b> <sub>1</sub>	0.079	0.065	
•	(0.0063)	(0.0069)	
$\beta_2$	-1.50	-0.83	
•	(0.23)	(0.23)	
C	1.03	_	
	(0.050)		
$\sigma_{\!\scriptscriptstyle \mathcal{E}}$	0.59	0.88	
•	(0.12)	(0.085)	
$\sigma_{_1}$	1.24	1.09	
•	(0.061)	(0.070)	
$\sigma_{2}$	1.11	1.03	
2	(0.068)	(0.075)	
$\sigma_3$	1.23	4.15	
•	(0.087)	(0.55)	
SN	4.74	265.95	
Overidentifying restrictions	3	4	

p=0.68) equals  $-0.21^{20}$  and the income elasticity evaluated at R=4.84 and Y=22.93 is 0.37. These estimates are both somewhat smaller in absolute value than the crude estimates obtained in Section 4.2 but the differences are remarkably small. This can be partly explained by the small estimates of  $\sigma_{e_1\eta}$  and  $\sigma_{e_2\eta}$ , since these imply that the biases due to self-selection are small.

The application costs C are significantly positive, as was expected. The estimated costs are Dfl. 1031, which is 18% of the average rent paid by RA recipients and 51% of the average RA subsidy received<sup>21</sup>. The estimates imply that 18% of the residual variance in the non-RA regime and 22% in the RA regime is explained by preference variation.

The Slutsky-condition (Eq. (8)) is satisfied for all observations with  $R \le 19.0$  which is much lower than the maximum rent in our sample.

# 5.3. Tests of the reduced form

The restrictions on the reduced form parameters implied by the structural model are not rejected. However, we can only derive confidence from that, if the reduced form parameters are not sensitive to changes in specification of the reduced form model. We consider five extensions of the reduced form model<sup>2223</sup>.

First, we allowed for demand equations that are nonlinear in Y and  $Y_v$ . We included  $Y^2$  in the non-RA and  $Y_v^2$  in the RA demand equation. This is a test of the preference structure of Eq. (4). The corresponding regression coefficients are not significant (LR=2.10 and  $\chi_{0.95}^2(2)=5.99$ ) and the other parameter estimates are largely unaffected. The only change is in the coefficient of  $Y_v$  which after the discussion in Section 5.1 should not surprise us. We conclude that the preference structure is not too restrictive. Moreover, the insensitivity to the inclusion of the powers of Y and  $Y_v$  shows that identification from the implicit entry fee is possible.

In a second specification test, we extended the dataset. In Table 2 we used only households that moved in the four years before the survey. Restricting the sample to recent movers may have biased our estimates of the demand equation, but

<sup>&</sup>lt;sup>20</sup> In Section 3.4 we introduced application costs to explain the partial take-up of RA-benefits. Strictly speaking application costs affect the demand for housing services in the RA regime, because they reduce the virtual income of the household. As a consequence the constant of the demand equation in the RA regime is  $\delta_0 - \beta_1 C + \beta_2 (1 - \delta)$ . Hence, the estimate of the price effect reported in Table 3 may be too small in absolute value. Because  $\beta_1 C$  is very small, the potential bias is negligible.

<sup>&</sup>lt;sup>21</sup> The application costs can be considered as a lump-sum 'payment' and to appreciate their size we should take account of the tenure of the household in a dwelling, e.g. by dividing the numbers in the text by the number of years the household stays there.

<sup>&</sup>lt;sup>22</sup> A sixth test, in which the model is estimated semi-parametrically along the lines suggested in (Gallant and Nychka (1987) is not reported here (see Van der Klaauw and Koning, 1996). Their results show that the estimation results are not sensitive to the assumed normal distribution of the disturbances.

<sup>&</sup>lt;sup>23</sup> For brevity, we do not present the estimation results here; they are available on request from the authors.

because we compare two groups of renters, the size and the direction of the bias are hard to predict. To investigate this we included also households that did not move recently. This increased the number of observations to 6468.

Again, the structural restrictions are not rejected. The structural parameter estimates are similar to those in Table 3. The price and income effect are somewhat smaller and the application costs are larger. The fact that the structural restrictions are not rejected in this much larger sample is encouraging.

In a third test, we included regional effects. We assumed that the 'disequilibrium variables'  $\nu_1$  and  $\nu_2$  have mean 0, i.e. on average households are on their demand curve. Although the HNS does not contain precise information on the location of the households, we can distinguish between four regions: the north (mainly rural), the east (mainly rural), the south (more urban) and the west (urban). In particular, in urban areas (the west) households may have difficulties in finding the desired dwelling.

The regional dummies are jointly insignificant (LR = 7.44,  $\chi^2_{0.95}(6) = 12.59$ ) and the other parameter estimates are almost identical to those in Table 2.

In a fourth test we address the issue of unanticipated changes in income<sup>24</sup>. The model may be misspecified if households receive RA because of an unanticipated income loss. In that case, our utility maximization model may provide an inadequate description of the data because moving costs will prevent the household from adjusting housing consumption to a level that corresponds to the new income level. Under the assumption that unemployment and disability are not (fully) anticipated, households with an unemployed or disabled head may not be in their preferred house. In our sample 9% of all households have an unemployed or disabled head and 20% of the subsample of households that receive RA, so that a household with an unemployed or disabled head is more likely to receive RA. However, housing demand of these households does not differ significantly from households that did not experience an unexpected income loss. We tested this by adding a dummy variable to the demand equations which takes a value of 1 for households with an unemployed or disabled head<sup>25</sup>. The hypothesis that both coefficients of the dummy variables are jointly 0 cannot be rejected (LR=5.39,  $\chi_{0.95}^2(2) = 5.99$ ) so we conclude that there is no evidence that the combination of unexpected income loss and moving costs biases our estimates. The households that are most likely affected by this, i.e. households with an unemployed head, appear to be on their demand curve as derived from our structural utility maximization model. A possible explanation is that we restrict our sample to households that moved recently, and hence were able to adjust their housing demand given the new level of income and the incentives of the RA program.

Finally, we tested for possible simultaneity of labour supply and housing

<sup>&</sup>lt;sup>24</sup> The point was raised by a referee.

<sup>&</sup>lt;sup>25</sup> At the time the data were collected many disabled in The Netherlands were in fact unemployed.

demand<sup>26</sup> by adding labour supply variables to the reduced form demand equations and the regime choice equation. This specification test examines whether preferences are weakly separable in leisure on the one hand and housing demand and other consumption on the other. Following Dickens and Lundberg (1993) and Van Soest (1995) we assume that households choose between a number of levels of leisure. If leisure is not weakly separable from housing and other consumption, then hours worked enters the demand function of housing services (Deaton and Muelbauer, 1980). Note that in general the preferred number of hours worked depends on the preference parameters of the household. Hence, weak separability is tested for by adding labour supply to the demand equations and the regime choice equation. We implemented this test by adding two dummy variables (D<sub>1</sub> and  $D_2$ ) to the demand equations, with  $D_1 = 1$  if  $0 < H \le 20$  and  $D_2 = 1$  if H > 20with H the number of hours worked per week by the head of the household. The hypothesis that the coefficients of  $D_1$  and  $D_2$  in all three reduced form equations are jointly equal to 0 could not be rejected: the likelihood-ratio test statistic LR = 8.89 which should be compared with  $\chi_{0.95}^2(6) = 12.59$ . The estimated price and income elasticities were unchanged.

The specification checks show that the reduced form model is quite robust. Hence, we can turn with some confidence to implications of the estimates.

# 6. Implications of the estimates

In this section we use the sauctural model to

- 1. Decompose the difference in average rent paid by RA and non-RA recipients observed in Table 1.
- 2. Study housing consumption in the absence of RA.
- 3. Examine the effect of application costs.
- 4. Examine the efficiency of RA.

Rents in counterfactual situations refer to utility-maximizing levels of housing consumption. On the assumption that the policies of the Dutch government are aimed at the satisfaction of demand at a fixed unit price of housing services, we can consider the outcomes as long-run equilibria.

The calculations in this section refer to typical households, which represent subgroups in the population. These subgroups are identified by their regime choice and for the exogenous variables we take the average values in the chosen regime. For example RA-recipients are identified by I=1 and have Y=20.83 and  $Y_0=1.00$ 

<sup>&</sup>lt;sup>26</sup> We thank an anonymous referee for pointing out this potential problem to us.

18.02. Hence we may calculate the probability that a household with these average values of the income variables chooses a dwelling which entitles it to RA and the expected utility maximizing rent. Below, the subscript A indicates non-RA recipients, the subscript B indicates RA recipients and  $\tilde{Y}$  and  $\tilde{Y}_v$  indicate the income and virtual income in the regime allocation equation, respectively.

## 6.1. Decomposition of the difference

We first decompose the differences between the rents paid by a representative household which receives RA and a representative household which does not. These households differ in a number of ways. First, the RA household pays a lower price for housing services but it also has a lower income due to the implicit entry fee. Moreover, an RA household is restricted in its choice to rents that exceed the norm rent  $R_n$ . These three differences reflect the incentives of the RA program. Second, as noted in Table 1 the income of RA households is lower than that of non-RA households. Third, RA households have a stronger preference for housing services than non-RA households. We decompose the difference of the expected (utility-maximizing) rents between the two representative households which is equal to Dfl. 1420<sup>27</sup>, into a program effect that consists of three parts, an income effect, and a preference heterogeneity effect. The results are reported in Table 4. We see that quantitatively the most important effect is the truncation effect which exerts a large upward effect on the rents in the RA regime. The other most important effects are the preference heterogeneity effect (hence, the RA recipients have a relative preference for housing) and the price effect.

## 6.2. Housing consumption in the absence of RA

The effect of the elimination of RA on a representative RA household is equal to the sum of the three program effects reported in Table 4. Housing consumption would be reduced by Dfl. 1140 (22.8%), from Dfl. 5570 to Dfl. 4430. The fraction of income spent on housing would change from 25.3% to 21.3%. It is clear that the RA program has a large positive effect on housing demand.

## 6.3. The effect of application costs

In Section 3 we discussed the effects of application costs on housing demand. Armed with the estimates of our structural model, we are able to quantify the

<sup>&</sup>lt;sup>27</sup> This difference is larger than that reported in Table 1. This is due to the non-linearity of the model. To obtain the difference of Table 1 we have to simulate over the sample (see Koning, 1995). The representative household approach used here is simpler and yields almost the same results.

Table 4
Decomposition of rent difference

Price effect		0,84	
$E(R_n p=1-\delta, Y=\bar{Y}_{nn}, R_n>R_n, I=1, \bar{Y}=\bar{Y}_n, \bar{Y}_n=\bar{Y}_{nn})$	5.57		
$-E(R_{B} p=1, Y=\bar{Y}_{uB}, R_{B}>R_{u}, I=1, \bar{Y}=\bar{Y}_{B}, \bar{Y}_{c}=\bar{Y}_{uB})$	-4.73		
Entry fee		-0.13	
$E(R_n p=1, Y=\vec{Y}_{vR}, R_n > R_n, I=1, \tilde{Y}=\vec{Y}_{R}, \tilde{Y}_v = \vec{Y}_{vR})$	4.73		
$-E(R_n p=1, Y=\bar{Y}_n, R_n>R_n, I=1, \bar{Y}=\bar{Y}_n, \bar{Y}_n=\bar{Y}_n)$	-4.86		
Truncation effect		0.43	
$E(R_B p=1, Y=\bar{Y}_B, R_B>R_B, I=1, \tilde{Y}=\bar{Y}_B, \tilde{Y}_v=\bar{Y}_{vB})$	4.86		
$-E(R_B p=1, Y=\bar{Y}_B, I=1, \bar{Y}=\bar{Y}_B, \bar{Y}_v=\bar{Y}_{vB})$	-4.43		
Income difference		-0.39	
$E(R_B p=1, Y=\bar{Y}_B, I=1, \tilde{Y}=\bar{Y}_B, \bar{Y}_v=\bar{Y}_{vB})$	4.43		
$-E(R_{R} p=1, Y=\bar{Y}_{A}, I=1, \bar{Y}=\bar{Y}_{A}, \bar{Y}_{y}=\bar{Y}_{yA})$	-4.82		
Preference heterogeneity		0.67	
$E(R_s p=1, Y=\bar{Y}_A, I=1, \bar{Y}=\bar{Y}_A, \bar{Y}_v=\bar{Y}_{vA})$	4.82		
$-E(R_A p=1, Y=\tilde{Y}_A, I=0, \tilde{Y}=\tilde{Y}_A, \tilde{Y}_v=\tilde{Y}_{vA})$	~4.15		
Total difference		1.43	
$E(R_{B} p=1-\delta, Y=\bar{Y}_{vB}, R_{B}>R_{a}, I=1, \bar{Y}=\bar{Y}_{B}, \bar{Y}_{v}=\bar{Y}_{vB})$	5.57		
$-E(R_A p=1, Y=\tilde{Y}_{vA}, \tilde{Y}=\tilde{Y}_{A}, \tilde{Y}_{v}=\tilde{Y}_{vA})$	-4.15		

effect of application costs. In Table 5 we consider the average household in our sample, i.e., the household with average values of Y and  $Y_v$ . We find the effect of application costs by setting C=0. If we interpret  $v_3$  as unobserved heterogeneity in C, then elimination of application costs would also imply  $v_3 = 0$ . Hence, in Table 5 we also compute the probability of taking up RA if  $\sigma_3^2 = 0$ . We also give the expected rents under these hypotheses, computed by

$$E(R) = E(R_A|I=0) Pr(I=0) + E(R_B|R_B > R_n, I=1) Pr(I=1).$$

In Table 6 we concentrate on households with rents that entitle them to RA. If application costs were eliminated, almost all these households would use their entitlement.

Table 5
Probability of taking up RA for an average household in the sample, the expected utility maximizing rent

Probability of using RA $Pr(I=1 C, \tilde{Y}, \tilde{Y}_v)$	0.35
Expected rent	4.66
Probability of RA, no transaction costs $(C=0)$	0.66
Expected rent	5.02
Probability of RA, no transaction costs ( $\sigma_3^2 = 0$ )	0.87
Expected rent	5.18

Table 6
Probability of taking up RA for a household with income equal to the average income of households which do not take up their benefit

Probability of RA, Pr $(l=1 C, \bar{Y}, \bar{Y}_v, R_A > R_n)$	0.44
Probability of RA, no transaction costs ( $C=0$ )	0.74
Probability of RA, no transaction costs ( $\sigma_3^2 = 0$ )	0.97

## 6.4. The efficiency of RA

The principal goal of the RA program is to make good quality housing affordable for low-income households (see Ministerie van Volkshuisvesting, Ruimtelijke Ordening en Mileubeheer, 1989a,b). This goal has not been made more precise by the government so that it is difficult to assess whether the program is successful in reaching this goal. Because of the lack of quantitative objectives of the program we define two efficiency measures ourselves. These measures correspond to different goals of the program. The first measure is the increase of housing consumption per guilder of subsidy, which is appropriate if the goal of the program is to increase housing consumption. The second efficiency measure is the equivalent income allowance<sup>28</sup> per guilder of subsidy. This measure is appropriate if the goal of RA is income redistribution.

The consequences of the RA program for housing demand are shown in Fig. 5 where we draw the budget set and two indifference curves  $U_1$  and  $U_2$  ( $U_2 > U_1$ ). In the absence of RA utility is maximized at A and the consumption of housing services would be OA'. However, due to the RA program, the household is able to attain a higher level of utility ( $U_2$ ), the optimal choice is now C and housing demand is OC''. The household attains the same level of utility if it receives an equivalent income allowance  $\Delta Y(DD')$ , which can be solved from

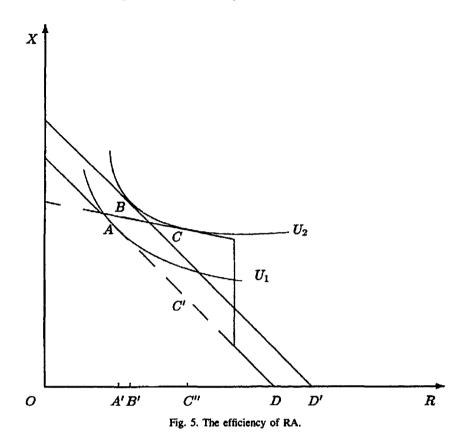
$$\nu(Y_{\nu}, 1-\delta) = \nu(Y + \Delta Y, 1).$$

Hence, we can decompose the total effect of the RA program on housing demand given by A'C'' into an income effect A'B' and a price effect B'C''.

Our first measure of efficiency of the RA program is the ratio of the additional housing demand due to RA and the RA allowance CC'. If this ratio is low then a large part of the RA-allowance is not used for additional housing consumption. We have calculated this ratio for all RA-recipients in the sample. The average increase of housing consumption due to the RA program is Dfl. 1360 per year and the average of the efficiency measure is 73%, with standard deviation 29 33%. If the

<sup>&</sup>lt;sup>28</sup> The equivalent income allowance is also known as the equivalent variation (see Varian, 1984).

<sup>&</sup>lt;sup>29</sup> The standard deviation does not incorporate sampling variability of the estimated parameters.



sole purpose of the RA program is to increase housing consumption, it appears to be reasonably successful.

In Table 4 we have seen that households receiving RA have a stronger preference for housing consumption than non-recipients. If we do not correct for this selectivity bias, the estimated efficiency of the RA program is 86%. Housing consumption without RA (OA' in Fig. 5) is underestimated and hence the increase in housing consumption is overestimated.

Our second measure of efficiency of RA is  $\Delta Y/CC'$ , the equivalent income allowance which makes households as well off as under RA divided by the amount of RA. This measure of efficiency is related to the relative income inefficiency measure of Aaron and Von Furstenberg (Aaron and Von Furstenberg, 1971). The latter inefficiency measure is defined as  $1-\Delta Y/CC'$ . The average of this efficiency measure is only 50%, so the RA program is not very efficient in this respect: RA recipients can be made as well off (in utils) as under the RA program by giving them (on average) half of the subsidy in cash.

## 7. Summary and conclusions

We have developed and estimated a structural model of rental housing demand, and we have used this model to study the impact of a rent subsidy program on the demand for rental housing. Recently, the credibility of structural estimates of program effects has been questioned. Some researchers have taken the position that only (quasi)experimental approaches can yield valid estimates of effects. Although this discussion has focused correctly on the weak points of structural methods, it is our opinion that the structural approach, if applied carefully, can yield valuable insights into the working of social programs.

For that reason we have chosen not to impose the restrictions implied by our structural model. Instead, we have tested these restrictions against a reduced form, and we have concluded that the restrictions are not rejected by the data. Moreover, the reduced form estimates were not sensitive to changes in the specification and an extension of the sample. These checks confirmed our conjecture that the entry fee effect identifies our model and not the arbitrary distributional assumptions<sup>30</sup>.

In Section 6 we have shown that the structural model allows us to study a variety of interesting questions related to the Rent Assistance program. In that section we have only taken a first step. An open question, which has not been answered, is how effective RA is in stimulating housing consumption or as an income support program, both stated goals of the program.

## Acknowledgements

The authors thank participants at seminars in Konstanz, Madrid, Harvard/MIT, NYU, Brown and Mannheim, the editor and an anonymous referee for their comments. Remaining errors are ours. The Central Bureau of Statistics provided the data.

#### References

Aaron, H.J., von Furstenberg, G.M., 1971. The inefficiency of transfers in kind: The case of housing assistance, Western Economic Journal, 184-191.

Atkinson, A.C., 1977. Housing allowances, income maintenance and income taxation, in: M.S. Feldstein and R.P. Inman, eds., The economics of public services (MacMillan, London).

Ball, M., Harloe, M., Maartens, M., 1988. Housing and social change (Routledge, London).

Ball, M.J., Kirwan, R.M., 1977. Urban housing demand: Some evidence from cross-sectional data. Applied Economics 9, 343-366.

<sup>&</sup>lt;sup>30</sup> The identification problem in our model is similar to the identification problem in the Roy model that has been studied by Heckman and Honore (1990).

Blomquist, N.S., 1983. The effect of income taxation on the labor supply of married men in Sweden. Journal of Public Economics 22, 169-197.

Blundell, R., Fry, V., Walker, I., 1988. Modelling the take-up of means-tested benefits: The case of housing benefits in the United Kingdom. Economic Journal, Supplement 98, 58-74.

Central Bureau of Statistics, 1990. Background information and methods of the housing needs survey 1985/1986, Working paper H. 4840-90-S9, Central Bureau of Statistics, in Dutch.

Central Planning Bureau, 1986. Central Economic Plan 1986 (SDU, Den Haag) in Dutch.

Chamberlain, G.A., 1984. Panel data, in: Z. Griliches and M.D. Intriligator, eds., Handbook of econometrics, Vol. II (North-Holland, Amsterdam) pp. 1247-1318.

Deaton, A., Muellbauer, J., 1980. An almost ideal demand system. American Economic Review 70, 312-326.

Dickens, W.T., Lundberg, S.J., 1993. Hours restrictions and labor supply. International Economic Review 34, 169-192.

Gallant, A.R., Nychka, D.W., 1987. Semi-nonparametric maximum likelihood estimation. Econometrica 55, 363-390.

Heckman, J.J., Honore, B.B., 1990. The empirical content of the Roy model. Econometrica 58, 1121-1149.

King, M.A., 1980. An econometric model of tenure choice and demand for housing as a joint decision. Journal of Public Economics 14, 137-159.

Klaauw, B. van der, Koning, R.H., 1996. Some applications of semi-nonparametric maximum likelihood estimation, Discussion paper 96-161/7 (Tinbergen Institute, Amsterdam).

Koning, R.H., 1995. Essays on applied microeconometrics (Capelle aan de Ussel, Labyrint Publication).

Konings, M., van Oorschot, W., 1990. Non-use of individual rent assistance: Its magnitude, Working paper (Department of Sociology, Tilburg University) in Dutch.

Ministerie van Volkshuisvesting, Ruimtelijke Ordening en Mileubeheer, 1989a. Housing in the Nineties, Technical report (Den Haag) in Dutch.

Ministerie van Volkshuisvesting, Ruimtelijke Ordening en Mileubeheer, 1989b. Rent assistance: A quantitative review 1984-1988, Technical report (Den Haag) in Dutch.

Moffitt, R., 1983. An economic model of welfare stigma. American Economic Review 73, 1023-1035.Neary, J.P., Roberts, K.W.S., 1980. The theory of household behaviour under rationing. European Review 13, 25-42.

Pudney, S., 1989. Modelling individual choice (Basil Blackwell, Oxford).

Van Soest, A., 1995. Structural models of family labor supply: A discrete choice approach. Journal of Human Resources 30, 63-88.

Varian, H.R., 1984. Microeconomic analysis, 2nd ed. (W.W. Norton, New York).