



# Raman imaging through a single multimode fibre

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**Abstract:** Vibrational spectroscopy is a widespread, powerful method of recording the molecular spectra of constituent molecules within a sample in a label-free manner. As an example, Raman spectroscopy has major applications in materials science, biomedical analysis and clinical studies. The need to access deep tissues and organs *in vivo* has triggered major advances in fibre Raman probes that are compatible with endoscopic settings. However, imaging in confined geometries still remains out of reach for the current state of art fibre Raman systems without compromising the compactness and flexibility. Here we demonstrate Raman spectroscopic imaging via complex correction in single multimode fibre without using any additional optics and filters in the probe design. Our approach retains the information content typical to traditional fibre bundle imaging, yet within an ultra-thin footprint of diameter 125  $\mu\text{m}$  which is the thinnest Raman imaging probe realised to date. We are able to acquire Raman images, including for bacteria samples, with fields of view exceeding 200  $\mu\text{m}$  in diameter.

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## 1. Introduction

The inelastic scattering of light leads to a characteristic Raman spectra that is indicative of the constituent atoms and molecules present within a given sample. This powerful label-free vibrational spectroscopy approach has found a myriad of applications. In particular Raman analysis has immense promise for biomedical applications including a variety of fibre-based systems with clinical relevance [1, 2]. Fibre probes for Raman analysis range greatly in size from around 1 cm [3, 4] down to sub-mm dimensions [5–7]. It has been identified that small Raman probes may enable new applications: sub-mm probes may be used in endoscopy [8], penetrate skin [5] tissue or solid organs and enable new forms of needle probes [9], or be part of a core biopsy needle. However, size constraints limit design options for the sub-mm probes, with single-pixel volumetric Raman detection often being the only available option, as advances are required to circumvent the issues of incorporating filters and lenses at this small scale. The notable exception of a small footprint Raman imaging is the use of a 300  $\mu\text{m}$  fibre bundle [6] for Raman spectroscopy at the fibre facet. The application in this study was restricted to the immediate proximity of the fibre tip, with a resolution limited by the inter-core spacing.

Separately over the last few years, correction methods through complex (scattering) media have enabled a number of microscopy modalities to be applied through a multimode fibre, whether using transmission matrix measurement [10, 11] or digital phase conjugation [12]. Reflection [13] and fluorescence [14] microscopies, as well as optical trapping [15] have been demonstrated. Importantly these are in the absence of any additional optics at the fibre output. However, to the best of our knowledge, Raman endoscopy through a single multimode fibre has not been demonstrated. This is particularly challenging given the very weak signal and strong background signal from the fibre material [16]. This is an area that would dramatically benefit from ultra-thin fibre probes, enabling Raman acquisition in challenging scenarios. We note that wavefront optimization was used to enhance by 20% the Raman signal from  $\text{TiO}_2$  particles [17] behind a scattering medium, but the method provided no imaging capability.

In this letter, we report the smallest footprint Raman imaging fibre probe reported to date. It is based on a single 125  $\mu\text{m}$  diameter (50  $\mu\text{m}$  core) multimode fibre for both the excitation and collection of Raman signal, in the absence of any filters and focusing optics. Using the transmission matrix (TM) approach [10] we perform wavefront correction to focus light beyond the distal end of the fibre to diffraction-limited spots at  $\lambda = 532$  nm, with a spatial resolution and collection efficiency governed by the fibre NA of 0.22. We can perform either point Raman acquisition, or collect images by digitally scanning the corrected spot. The nature of the correction means we can also scan this spot at given distance from the distal end of the fibre with a trade off in terms of collection efficiency and field of view (FOV). In this way, we achieve a field of view of 200  $\mu\text{m}$  diameter, which is notably larger than the fibre size. Due to the dimensions and inexpensive nature of the fibre it lends itself to clinical applications where its ultra small diameter may permit enhanced access to organs *in-vivo* and applications within confined geometries.

We demonstrate the capability of our approach for image acquisition by recording Raman images of polystyrene beads adhered to a glass substrate, individual pharmaceutical compounds within a mixture and *M. smegmatis* bacteria. Furthermore we use our probe to collect the resonant Raman signals from carotenoid compounds in cyanobacterium *L. robusta*. Finally to demonstrate the multimodal application of the system, we perform simultaneous trapping and Raman analysis of a polystyrene particle in water using the very same multimode fibre.

## 2. Materials and methods

### 2.1. Experimental setup

The experimental setup is shown on the Fig. 1(a). The output beam of a  $\lambda = 532$  nm laser (Verdi-5V, Coherent, Santa Clara, CA) was expanded using a telescope (lenses L1, L2) and projected onto the active area of a spatial light modulator (LCOS-SLM X14168-01, Hamamatsu, Hamamatsu, JP). The wavefront correction was performed in the first diffraction order, which was isolated in the Fourier plane using an iris. The SLM plane was relayed to the entrance pupil of a  $10\times$  NA 0.25 objective (Newport) which focused the light onto the proximal facet (with respect to the light source) of a single multimode fibre (Thorlabs, AFS50/125Y, low-OH, 50  $\mu\text{m}$  core, NA 0.22, 140 mm long). The fibre facet was thus placed conjugate to the Fourier plane of the SLM. A quarter-wave plate placed before the objective converted the beam polarisation to circular, which is well-preserved in multimode fibres [18].

The multimode fibre was cleaved and stripped of the jacket, then connected on both ends using 2.5 mm diameter ferrules (CF128, Thorlabs, Newton, NJ). It was observed that with the jacket present on the fibre, it exhibits fluorescence signal an order a magnitude stronger than the silica Raman signal from the same fibre. While we found that prolonged exposure to  $\sim 50$  mw at 532 nm significantly reduced the fluorescence, the jacket was removed to minimize the background.

Phase masks projected onto the SLM were then used to focus the light into diffraction-limited spots either 50  $\mu\text{m}$ , 270  $\mu\text{m}$ , or 450  $\mu\text{m}$  behind the proximal facet of the MMF, resulting in a  $\varnothing 50$   $\mu\text{m}$ ,  $\varnothing 100$   $\mu\text{m}$ , and  $\varnothing 200$   $\mu\text{m}$  fields of view, respectively. A discussion on the choice of FOV and fibre-sample distance is provided in the Appendix: A1. Choice of FOV. The Raman light scattered from the sample was collected and guided back through the same fibre probe, passing through appropriate filters (RazorEdge 532 dichroic and 532 notch, Semrock, Rochester, NY) and sent into an imaging spectrometer (Shamrock 303i with Newton EMCCD, Andor, Belfast, UK) via a collection fibre and a custom F-matcher. We used a 500 nm blazed 600 lines/mm grating, and the entrance slit of the spectrometer was set to 200  $\mu\text{m}$  (measured FWHM spectral resolution 32  $\text{cm}^{-1}$  at 1000  $\text{cm}^{-1}$  and 25  $\text{cm}^{-1}$  at 3000  $\text{cm}^{-1}$ ). The speckle patterns from the fibre were recorded in transmission geometry using a CCD camera (piA640-210gm, Basler, Ahrensburg, Germany)

### 2.2. Correction algorithm

Controlling the light field on the distal end of the multimode fibre is an established technique which relies on the prior acquisition of the complex fibre transmission matrix (TM)  $M_{ij}$ . The matrix relates a set of input modes  $x_i$  generated by an SLM to a set of output modes  $y_i$  (camera pixels) in a linear manner:  $y_i = M_{ij}x_j$  [11]. The calibration procedure is performed as follows:

1. A set of input SLM modes  $x_j$  is chosen, of which one is selected as a reference ( $x_0$ ).
2. A probe input mode and the reference mode, with an introduced phase shift between them, are sent through the fibre:  $x_0 + x_j e^{i\frac{n-1}{2\pi N}}$ ,  $n \in \{1, \dots, N\}$ . An image of the output modes intensity  $y_{in}$  is recorded for each phase shift ( $N = 5$  in our case).
3. Complex interference coefficients for the probed input mode are deduced from the acquired image sequence for every output mode (pixel):  $M_{ij} = \sum_n y_{ni} e^{i\frac{n-1}{2\pi N}}$ .
4. The steps 2-3 are repeated for all the input modes  $x_j$ .

To focus a light optimally into a given pixel  $y_i$ , the required input field on the SLM  $x_j$  is obtained by  $x_j = M_{ij}^\dagger y_i$ , where  $\dagger$  stands for the conjugate transpose [11]. In our case of a phase-

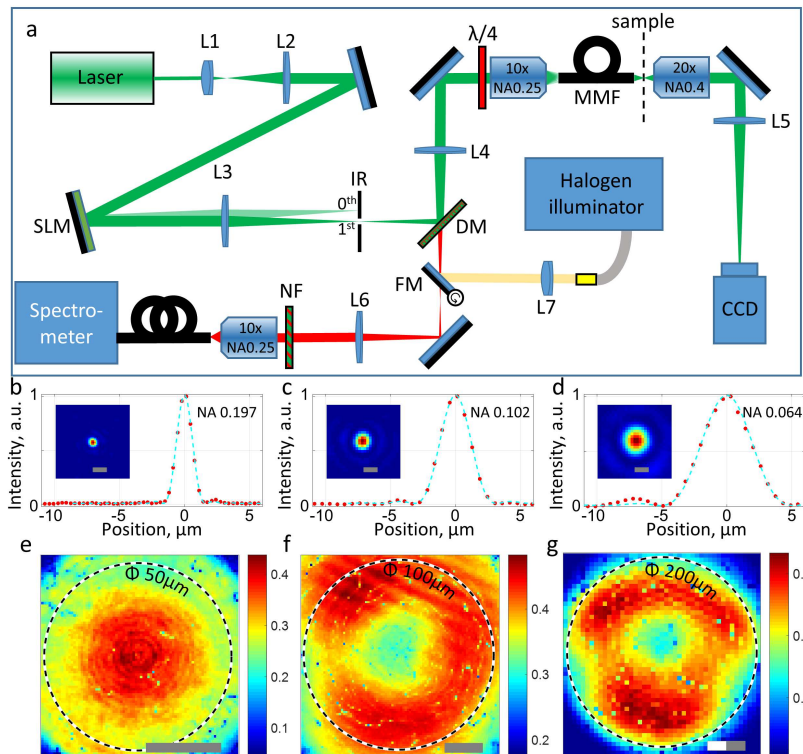


Fig. 1. Experimental setup and performance. (a) Schematics of the optical setup (multi-mode fibre, MMF; dichroic mirror, DM; notch filter, NF; flip mirror, FM; lenses, L). (b-d) Beam shape on the fibre axis at 50  $\mu\text{m}$ , 270  $\mu\text{m}$ , and 450  $\mu\text{m}$  away from the facet, respectively. Scale bars are 3  $\mu\text{m}$ . (e-g) Power fraction in the focus at the corresponding distances, resulting in  $\varnothing 50 \mu\text{m}$ ,  $\varnothing 100 \mu\text{m}$ , and  $\varnothing 200 \mu\text{m}$  FOVs. Grey scale bars are 20  $\mu\text{m}$ , total bar length in (g) is 40  $\mu\text{m}$ .

only SLM, it can be shown that the optimum field is obtained by simply taking the phase of the resulting SLM mask  $x_j$ , ignoring its amplitude [15].

For a  $\varnothing 50 \mu\text{m}$  FOV we use 575 SLM segments as input modes [19], which correspond to plane waves with a well-defined wavevector  $\mathbf{k}_\perp$  at the fibre input facet. For  $\varnothing 100 \mu\text{m}$  and  $\varnothing 200 \mu\text{m}$  FOVs we chose 2300 plane waves at the SLM [15] for the input modes, which gave focused spots on the input fibre facet.

The rationale behind this choice is to provide a reference mode within the set of input modes that covers the entire FOV, and which intensity distribution is relatively uniform. For a  $\varnothing 50 \mu\text{m}$  FOV, which is comparable in size with the fibre core diameter, even the lowest  $k_\perp$  (lowest divergence) modes cover the FOV. Additionally they provide coarser and more uniform speckle as compared to high  $k_\perp$  modes, thus being optimal for the small FOV setting. On the other hand, to cover an entire  $\varnothing 100 - 200 \mu\text{m}$  FOV as close to the fibre facet as possible, one must use all the  $k_\perp$  range. Such a range is provided with a focused spot on the input facet of the fibre, which corresponds to a plane wave on the SLM. An external reference [10] through a separate single mode fibre would relax the input mode choice but at the cost of experimental complexity.

### 2.3. Focus after correction

To measure focusing efficiency of the beam across FOVs we recorded camera images of the spots for different positions, and related the total intensity within the Airy disk (comprising the first bright ring) to the total intensity from the fibre. The focusing efficiency profiles are shown on Figs. 1(e)-1(g). A slightly higher overall efficiency is measured for the  $\varnothing 100\text{--}200\ \mu\text{m}$  FOVs, as compared to the  $\varnothing 50\ \mu\text{m}$  FOV, and it is likely due to a higher number of modes used for the beam optimization.

For the  $\varnothing 50\ \mu\text{m}$  FOV, the efficiency profiles is uniform and close to 40% in the centre but decreases towards the edges, where not all  $\mathbf{k}_\perp$  can contribute to the focus. The situation for  $\varnothing 100\text{--}200\ \mu\text{m}$  FOV is strikingly different, with centre part being weaker than the peripheral regions. Due to geometry, the on-axis focal spot at  $270\text{--}450\ \mu\text{m}$  distance cannot be accessed by highest  $k_\perp$  components. It has been shown before that mode groups with different  $k_\perp$  (radial modes) are only weakly coupled [14], so the power sent into highest  $k_\perp$  radial modes cannot strongly contribute to the spot. However, as the focus moves towards the edge of FOV, the maximum  $k_\perp$  for which the focal point is accessible, increases. As the modes within a given radial group can efficiently couple between each other, the focusing efficiency towards the edges increases as well.

However, the inter-group coupling of radial modes is still present. If we assume such coupling to be zero, the theoretical maximum for on-axis focusing efficiency would roughly scale as inverse square of the distance from the facet (see Appendix: A2. Focusing efficiency remarks). This gives values of 0.18 and 0.06 for distances of  $270\ \mu\text{m}$  and  $450\ \mu\text{m}$  distances, respectively. At the same time, the measured values are both significantly higher scoring around 0.3, which signifies that the power is redistributed within the fibre from higher  $k_\perp$  modes, for which the focal spot is not directly accessible, towards the lower  $k_\perp$  modes. It has been shown that the coupling between different radial mode groups is suppressed in a perfect straight fibre without defects, while it appears in a deformed fibre [18]. Coincidentally, we used a fibre bent at 90 degrees, thus improving focusing efficiency at large distances from the fibre, by allowing power to migrate between radial mode groups.

Images of a focused spot are shown on the insets of Figs. 1(b)-1(d). The intensity profiles along one dimension are each fitted to an Airy pattern to extract the effective NA. The fit yields an NA of 0.2 for the  $\varnothing 50\ \mu\text{m}$  FOV, slightly smaller than the fibre nominal NA 0.22. This occurs as we preselected the input modes based on their coupling efficiency into the fibre, and the highest  $k_\perp$  modes were left out by applying a threshold. For the  $\varnothing 100\ \mu\text{m}$  and  $\varnothing 200\ \mu\text{m}$  FOVs, the NA were 0.1 and 0.064 respectively, which is slightly higher than the predicted values of 0.09 and 0.055, respectively. Additionally, the intensity profile on (d) clearly shows side lobes stronger than that of an Airy pattern fit. For a given focusing NA, strong side lobes and narrow core are properties seen in Bessel beams, which lack low  $k_\perp$  components. The higher effective NA observed suggests that the beam far from the fibre facet is no longer Gaussian, i.e. the higher  $k_\perp$  components dominate over the lower ones, making the beam a hybrid between Gaussian and Bessel. The possible reason for this is that the highest  $k_\perp$  components reaching the focal spot are enhanced by higher radial modes coupling into them.

### 2.4. Spectral unmixing and Raman imaging

The Raman images were obtained by raster scanning the focus spot at the sample plane over a  $40\times 40$  pixel grid for  $\varnothing 50\ \mu\text{m}$  and  $\varnothing 100\ \mu\text{m}$  FOVs, and  $45\times 45$  for  $\varnothing 200\ \mu\text{m}$  FOV, with a 5 s acquisition time per spectrum. The scanning was performed by changing the SLM masks corresponding to different focus positions. As the scan area always contained parts of the glass coverslip free of specimen, the background reference was inherently provided during the scan. The recorded spectra were arranged in a measurement matrix  $A$ . Physically,  $j^{\text{th}}$  pixel's spectrum represents a mixture of independent spectral components  $C_i$  present in the system (sample plus

fibre background), each contributing with a certain weight  $W_j^i$ . Mathematically, this means that the measurement matrix can be decomposed as  $A \approx C \cdot W$ , with  $C, W \geq 0$ , as neither weights nor spectral components can be negative. To find the matrices  $C, W$  we use a non-negative matrix factorization procedure (NMF) implemented in Python [20]. The optimization problem consists of finding  $C, W$  such that they minimize the objective function

$$\|A - C \cdot W\|_{Fro}^2 + \alpha \|W\|_1. \quad (1)$$

The first term is a Frobenius norm of the approximation error  $\sum_{i,j} |a_j^i|^2$ , the second term is an L1 norm  $\sum_{i,j} |W_j^i|$  introduced to reinforce sparseness of the weight vectors, and  $\alpha$  is an empirical numerical factor. As the pixels were smaller than the sample clusters we imaged, a single pixel usually contained background, plus a dominant Raman signal from the pharmaceutical present, other contributions being zero. The choice of sparse weights ensured that the obtained components corresponded to individual chemical spectra and not to a particular linear combination of them, which is typical for e.g. the principal component analysis.

The weights vectors were normalized to have zero minima and unit maxima, so that  $W \in [0, 1]$ . The components  $C_i$  were scaled accordingly to conserve the matrix product  $C \cdot W$ , and thus effectively represented maximal absolute counts for each component for a 5 s acquisition time.

The obtained normalized weights were used to construct Raman images. To improve image contrast the black level was set to 0.05 for all images, i.e. the [0.05, 1] region was linearly mapped to [0, 1], and the values below 0.05 were set to 0. For Raman imaging of pharmaceuticals, RGB false color images were constructed with different colour channels representing different compounds. Colour (R,G,B) = (0,0,0) corresponded to black, while (R,G,B) = (1,1,1) to white colour. For 50  $\mu\text{m}$  and 100  $\mu\text{m}$  FOV diameters, the paracetamol and ibuprofen normalized weights were assigned to the red and the green channels, respectively, and the blue channel was set to zero. The  $\varnothing 200 \mu\text{m}$  FOV images contained clusters of four different chemicals while the RGB colourspace has only three dimensions. To deal with this, the paracetamol, ibuprofen, and aspirin weights were assigned to red, green, and blue channels, respectively. The fourth component, lactose, was represented by a 4th false colour (white), which resulted in adding its intensity to all three RGB channels simultaneously:

$$R = W_{paracetamol} + W_{lactose} \quad (2)$$

$$G = W_{ibuprofen} + W_{lactose} \quad (3)$$

$$B = W_{aspirin} + W_{lactose} \quad (4)$$

Additionally, the pixels in the image corners for  $\varnothing 200 \mu\text{m}$  FOV, which fell outside the designated FOVs, were cropped out before the NMF procedure.

Note that that if the constraint Eq. (1) is no longer enforced, the matrix decomposition is not unique. Thus, for a given transformation matrix  $T$ , a new set of components and weights can be obtained, such as the decomposition remains valid:

$$C^* = C \cdot T, \quad W^* = T^{-1}W \quad (5)$$

$$A \approx C \cdot W = C^* \cdot W^* \quad (6)$$

In section 3.1 the background spectral component after decomposition contained contamination from polystyrene due to non-perfect beam focusing. We thus use such a transform to decouple the background spectral component from the polystyrene one, by subtracting PS spectral contribution and minimizing the background standard deviation in the 2800-3100  $\text{cm}^{-1}$  region.

### 2.5. SNR evaluation

The signal to noise ratio (SNR) for imaging was estimated based on single-shot spectra as the maximal signal count over the image related to the noise of the background in the corresponding wavenumber range. The background was assumed to follow Poissonian distribution with standard deviation equal to the square root of the average counts. The SNR of the recovered spectral components (quality of spectrum determination) was estimated differently, as those were not based on single-shot measurements but rather on total signal acquired during imaging. Instead of the background noise, the maximal spectral value was related to the standard deviation of the signal in 2000-2500  $\text{cm}^{-1}$  with no Raman signatures from the compounds studied in this work.

### 2.6. Raman spectroscopy of a trapped particle

To acquire both the Raman signal from the particle and the background reference, a total of five spectra were acquired for different beam configurations. The first configuration is a single focus trapping the bead. For other four configurations, the light is split in two foci such that in all instances one spot traps the particle. The remaining part of the beam is diverted to four different spots in the background region around the trapped particle. This two-foci beam is encoded by the two individual spot masks combined using the random mask approach [21].

### 2.7. Sample preparation

**Polystyrene suspension** A suspension of polystyrene beads (Thermo Scientific 7510A, 11  $\mu\text{m}$  mean diameter,  $\leq 18\%$  coefficient of variation) was placed on a standard glass coverslip (No 1, 24 mm  $\times$  50 mm) and dried to form agglomerations.

***M. smegmatis*** *Mycobacterium smegmatis* (NCTC 8159), were grown at 37°C in Middlebrook 7H9 medium (FLUKA) supplemented with 4 ml of 50% glycerol (for 450 ml) (Sigma-Aldrich) and 0.05% Tween80 (Fisher BioReagents). An aliquot (1mL) of bacterial suspension were heat inactivated by exposure to a temperature of 80°C for 20 minutes. The inactivated aliquot was then smeared on a glass coverslip.

**Pharmaceuticals** Commercially available pharmaceutical tablets of paracetamol (Aspar Pharmaceuticals Ltd, UK), aspirin (Galpharm Pharmaceuticals Ltd, UK), ibuprofen (Galpharm Pharmaceuticals Ltd, UK) were ground and mixed together on a glass slide for imaging. Apart from the active compound, the tablets additionally contained lactose (ibuprofen, aspirin), sucrose (ibuprofen), and sodium disulphite (paracetamol).

***L. robusta*** The bacterial strain *Limnoraphis robusta* was purchased from Culture Collection of Algae and Protozoa (CCAP strain 1446/4, Scottish Marine institute, Oban, Scotland, UK) and kept in a medium mixture ASW:BG, exposed to indoor ceiling fluorescent lighting at standard levels. Bacterial filaments were placed on glass coverslip and immersed in the storage medium during the acquisition.

## 3. Results

### 3.1. Imaging of polystyrene beads

Polystyrene offers a distinctive Raman spectrum [22] and thus is suitable for our fibre probe validation. For our first demonstration of Raman imaging, 11  $\mu\text{m}$  diameter polystyrene beads were dried on a glass coverslip and placed 50  $\mu\text{m}$  away from the facet of the fibre which resulted in effective FOV diameter of 50  $\mu\text{m}$  (see Materials and Methods: Focus after correction). The transmission matrix (TM) acquisition was performed on a clear region of the coverslip (see Materials and Methods: Correction algorithm). Subsequently, a suitable aggregation of polystyrene particles was identified for Raman imaging (see Fig. 2(b)). The totality of the spectra were treated using non-negative matrix factorization [20] to decompose the spectra into *spectral components*



(spectra of individual compounds) and normalized *weights* (contribution of the corresponding spectral component to a given pixel in the image, see Materials and Methods: Spectral unmixing and Raman imaging).

The spectral components corresponding to the background (black dotted line) and polystyrene (red solid line) are shown in Fig. 2(a). The background spectra contains strong Raman peaks from silica within the fibre in the  $900\text{--}1600\text{ cm}^{-1}$  region [23], as well as broad, near constant fluorescence signal also originating from the fibre. The red curve in Fig. 2(a) clearly shows characteristic Raman peaks associated with polystyrene [22], notably at  $1001\text{ cm}^{-1}$  and  $3054\text{ cm}^{-1}$ . By comparing the silica and polystyrene Raman peak intensities, we note that the background is 10-50 times stronger than the Raman signal at low wavenumbers ( $900\text{--}1600\text{ cm}^{-1}$ ). The fluorescence background around the  $2500\text{--}3200\text{ cm}^{-1}$  is uniform and weaker than the Raman background at lower wavenumbers. It is of similar amplitude to the polystyrene Raman peaks at those wavenumbers. This spectral region was chosen for Raman imaging with our fibre probe.

Figure 2(c) shows normalized pixel-wise weights of the polystyrene spectral component, which effectively form a Raman image. Note the gradual fading of the signal towards the edge of the image due to weaker focusing (see Materials and Methods: Correction algorithm) and reduced collection efficiencies (see Appendix: A1. Choice of FOV).

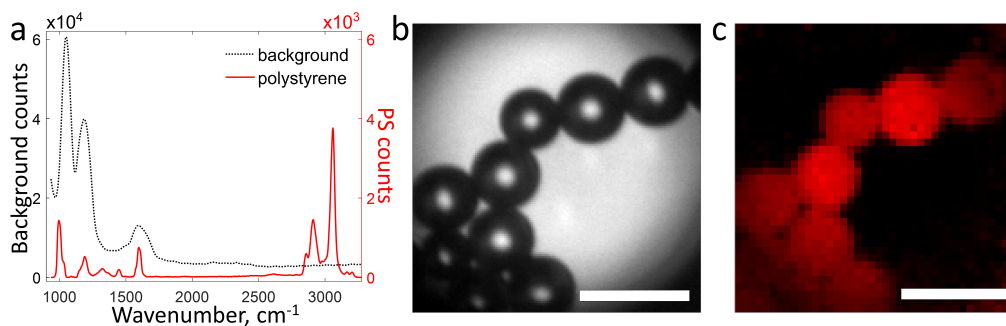


Fig. 2. Raman imaging of polystyrene particles dried on a glass coverslip. (a) Background (black dotted) and polystyrene (red solid) spectral information (treated as described in the Methods). Note the different scales for the two curves. (b) Bright field image of the particles. (c) Weights for polystyrene spectral components, showing a Raman image of the particle distribution. Scale bars are  $20\text{ }\mu\text{m}$ .

### 3.2. Imaging of *M. smegmatis*

We also apply our fibre Raman imaging to clusters of heat-inactivated bacteria *M. smegmatis* at  $50\text{ }\mu\text{m}$  from the distal end of the fibre with a  $50\text{ }\mu\text{m}$   $\varnothing$ FOV. To address the signal intensity fading towards the edges as seen for the polystyrene image (see Fig. 2(c)), we modulated the excitation power across the FOV, such that we maintain a constant power at focus (20 mW, see Materials and Methods: Focus after correction). As seen in Fig. 3(c), this partially alleviated the signal non-uniformity across the FOV, but the collection efficiency profile (see Appendix: A1. Choice of FOV) may also be taken into account. However, stronger modulation requires more power to be discarded, thus is only feasible if the system is not limited by the available laser power.

The recovered spectrum and Raman image are shown in Fig. 3. For spectral analysis we select the region  $2600\text{--}3500\text{ cm}^{-1}$  due to relatively weak background from the fibre in this region [24]. The spectrum shows a broad and prominent peak spanning the  $2850\text{--}3000\text{ cm}^{-1}$  region. This originates from various C–H group stretching modes in lipids, amino acids and carbohydrates.

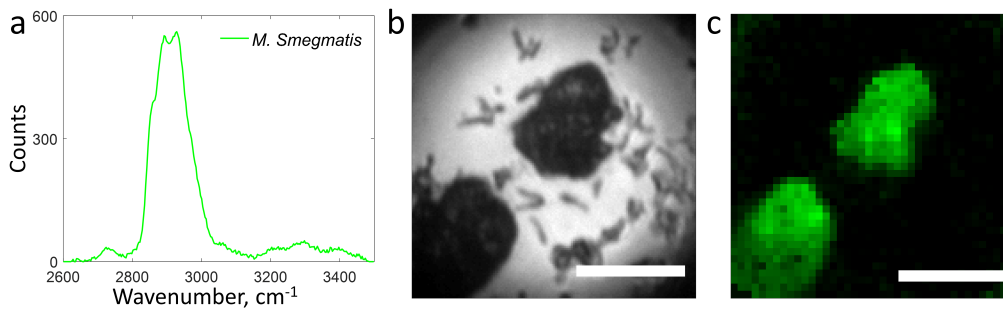


Fig. 3. Raman imaging of *M. smegmatis* bacterium clusters. (a) Spectral intensity in the 2600-3500  $\text{cm}^{-1}$  region. (b) Bright field image of bacterial clusters, also showing the presence of individual bacteria. (c) Normalized weights for the spectral component shown in (a) to create a Raman image. Note we presently do not have the sensitivity to observe individual bacteria. Scale bars are 20  $\mu\text{m}$ .

Despite lower information content than the fingerprint region (500–1800  $\text{cm}^{-1}$ ), the 2900  $\text{cm}^{-1}$  peak has proven useful for differentiating bacteria species either solely, or in conjunction with the fingerprint range [25,26]. Additionally, we studied the repeatability of the acquired bacterial spectra for  $N = 15$  clusters (data not shown) to verify that the variance did not exceed 10% across the main peak.

### 3.3. Identification of pharmaceuticals based on Raman images

Raman scattering is widely used for pharmaceutical analysis and identification [27,28] and thus this serves as a further demonstration of our novel fibre probe and its imaging capability. Here, we image and identify clusters of paracetamol, ibuprofen, aspirin tablets, all of which contain lactose, a common additive found in painkillers. For the sample, preparation, drug tablets were ground and mixed on a glass coverslip. The Raman images were acquired using three different settings as follows:

1. sample at 50  $\mu\text{m}$  from the fibre,  $\varnothing$ 50  $\mu\text{m}$  FOV, central NA=0.2, power of 12 – 20 mW at the sample.
2. sample at 270  $\mu\text{m}$  from the fibre,  $\varnothing$ 100  $\mu\text{m}$  FOV, central of NA=0.1, 26 – 36 mW power.
3. sample at 450  $\mu\text{m}$  from the fibre,  $\varnothing$ 200  $\mu\text{m}$  FOV, central NA=0.06, 20 – 50 mW power.

The power at the sample was estimated as a product of total transmitted intensity with the focusing efficiency which is not uniform across the FOVs. The non-uniformities can in principle be compensated for by corresponding modulation of the input power as seen in figure 3.

The results are shown on the Fig. 4, with the rows of Figs. 4(a)-4(c), 4(d)-4(f), and 4(g)-4(i) corresponding to FOVs of 50  $\mu\text{m}$ , 100  $\mu\text{m}$ , and 200  $\mu\text{m}$  diameter, respectively. The smaller FOVs were used to image two pharmaceutical compounds (paracetamol and ibuprofen), while a 200  $\mu\text{m}$  FOV was sufficient to locate and image all four pharmaceutical compounds.

The first column with Figs. 4(a), 4(d), and 4(g) shows the spectral components accounting for the sample spectra. The spectral region near 3000  $\text{cm}^{-1}$  was chosen to avoid signal contamination from the fibre itself. The measured components are identified as paracetamol [22] (red dotted line), ibuprofen [29] (green solid line), aspirin [30], and lactose [31]. The second column with Figs. 4(b), 4(e), and 4(h) displays the bright field images of the corresponding areas, where clusters of pharmaceuticals can be seen. The Raman images are shown in the column with Figs. 4(c), 4(f), and 4(i) with the paracetamol, ibuprofen, aspirin, and lactose weights

shown in red, green, blue, and white, respectively (see Methods: Spectral unmixing and Raman imaging).

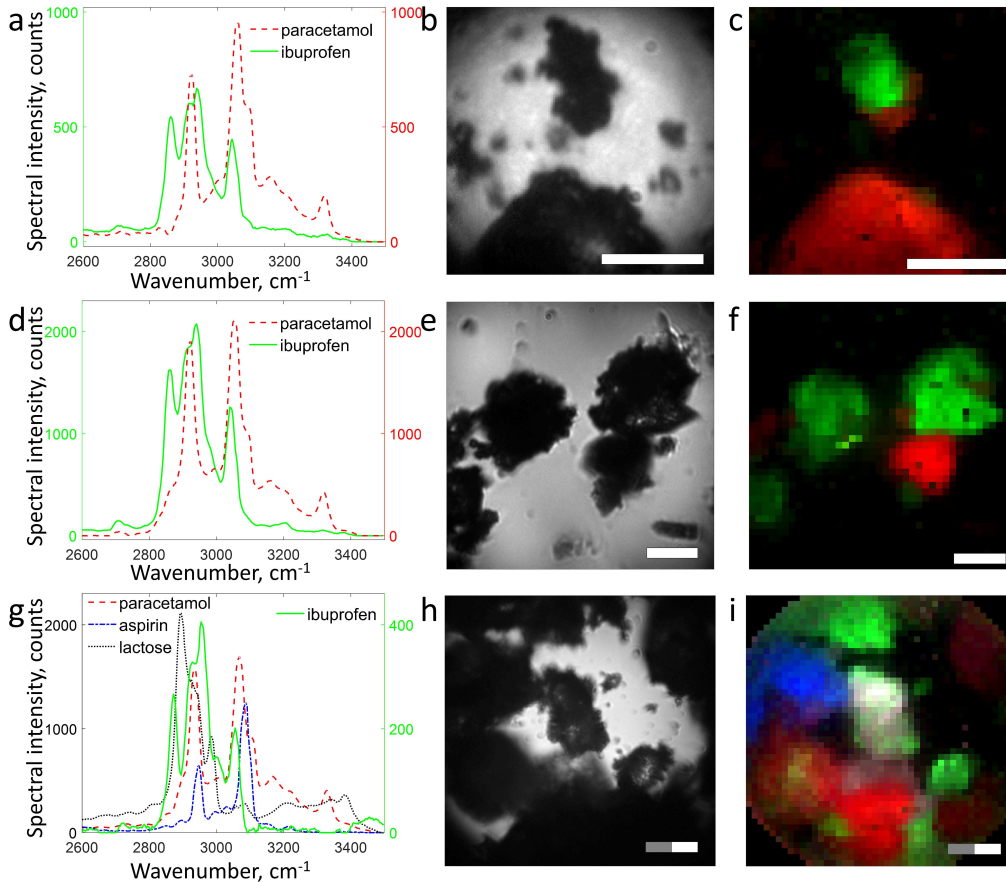


Fig. 4. Raman imaging of paracetamol and ibuprofen clusters for a  $\varnothing 50 \mu\text{m}$  (a-c),  $\varnothing 100 \mu\text{m}$  (d-f), and  $\varnothing 200 \mu\text{m}$  (g-i) field of view. (a,d,g) Spectral components for paracetamol (dashed red), ibuprofen (solid green), aspirin (dot-dash blue), lactose (dotted black). (b,e,h) Bright field image of drug clusters. (c,f,i) Raman image of drug clusters with red for paracetamol, green for ibuprofen, blue for aspirin, and white for lactose. White scale bars are  $20 \mu\text{m}$ . Full scale bars on (h,i) are  $40 \mu\text{m}$ .

### 3.4. Resonance Raman spectroscopy of cyanobacteria

*Limnoraphis robusta* is a filament-forming cyanobacterium inhabiting brackish waters and associated with water algal blooms [32]. As with nearly all photosynthetic cyanobacteria, it contains carotenoids, which are active compounds for resonance Raman scattering when excited at 532 nm. It has been shown previously that the resonance enhancement enables recording of cyanobacteria Raman signatures with microsecond acquisition times [33]. Carotenoids are also ubiquitously present in the mammalian skin and tissue, and can be potential biomarkers for human studies [34]. In our system, the resonant Raman signal intensity was comparable to the background from silica, which was recorded, as before, on a clean area of the coverslip. A single-shot spectra was recorded at a power of 0.8 mW with a 10 s acquisition time, with background subtraction. This yielded a SNR of  $\sim 20$  (see Fig. 5(a)). Three peaks seen in the figure

are attributed to carotenoids, with the underlying slope indicating the fluorescent background from the bacteria. The bands are assigned as follows: the stronger  $\nu_1$  peak at  $1510\text{ cm}^{-1}$  originates from C=C stretching,  $\nu_2$  at  $1150\text{ cm}^{-1}$  is from C-C stretching, and  $\nu_3$  at  $1000\text{ cm}^{-1}$  is from C-CH<sub>3</sub> deformation [35].

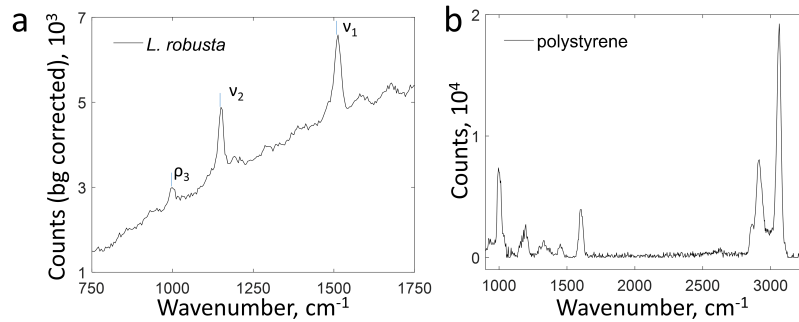


Fig. 5. Raman signal from cyanobacterium *Limnoraphis robusta* (a), and a trapped 11  $\mu\text{m}$  polystyrene bead (b).

### 3.5. Optical trapping and Raman spectroscopy of a single polystyrene bead

Our approach can also combine Raman spectroscopy with optical trapping performed through the very same multimode fibre. We generate a 2D optical trap in water to immobilize 5  $\mu\text{m}$  and 11  $\mu\text{m}$  polystyrene beads against a coverslip 50  $\mu\text{m}$  from the fibre facet, for Raman spectra to be taken. To provide a background reference, the beam was split in two foci, one keeping to hold the particle trapped with a fraction of power, while other pointing to a part of the FOV devoid of any particles (see Methods: Raman spectroscopy of a trapped particle).

The estimated power at the focal spot was 50 mW, the acquisition time was 20 s per spectrum, and the spectra were treated using NMF. We additionally measured the trap stiffness as a function of power, and found it to be  $\sim 0.35\text{ pN}/\mu\text{m}/\text{mW}$  for 5  $\mu\text{m}$  and  $\sim 0.1\text{ pN}/\mu\text{m}/\text{mW}$  for 11  $\mu\text{m}$  beads (see Appendix: A3. Optical trap stiffness). The Raman spectrum of a 11  $\mu\text{m}$  particle is shown on Fig. 5(a) and its composition (polystyrene) can be clearly identified (see Fig. 2(a)).

## 4. Discussion

We have presented the thinnest fibre Raman imaging probe up to date, suitable for endoscopic applications in biomedical analysis. The approach has proved highly versatile, with applications including single-point Raman spectroscopy, Raman imaging of individual samples including bacteria, or a mixture of compounds, and finally, a Raman spectroscopy of optically trapped objects. It is instructive to place our fibre probe in context and discuss some future directions of study and potential hurdles one might envisage.

A potential drawback of such a single multimode fibre Raman imaging is the strong background (Raman and fluorescence) from the fibre itself. While our current system is hampered with a strong signal from silica in the fingerprint region ( $<500\text{--}1700\text{ cm}^{-1}$ ), the background is relatively weak at higher wavenumbers (see Fig. 2(a)). Notably, single fibre Raman probes are particularly suited for the cellular 'silent' region ( $1800\text{--}2800\text{ cm}^{-1}$ ). Alkyne tags were recently introduced in this region to allow background-free cellular Raman imaging [36], and they would be compatible with our approach. Additionally, the so-called lipid region ( $2800\text{--}3300\text{ cm}^{-1}$ ) which hosts various N-H and C-H stretching bands, represents an information-rich region for Raman studies of lipids [37] and pharmaceuticals [38] and would be worth exploring in future with our probe.

On the other hand, compounds exhibiting resonantly enhanced Raman such as aforementioned carotenoids, typically have an extremely strong signal dominant over the fibre background. Apart from cyanobacteria addressed in this work, those are contained in a range of human tissues and have been validated as useful biomarkers [34]. These can be detected using our fibre system. Fibre probes has been previously designed for carotenoid screening inside tissues [34] and our imaging capability would add value to such diagnostics.

The fibre luminescence background in the 2000–3500  $\text{cm}^{-1}$  range, as well as the fluorescence from the imaged sample, can in principle be eliminated using wavelength-modulated Raman scattering (WMRS) [39, 40]. In this method, the wavelength modulation of the excitation light in WMRS translates into the modulation of Raman signal, which allows for extracting it from non-Raman and non-resonant background and attaining a higher signal to noise ratio. To adapt our fibre method to WMRS, the SLM holograms would have to be updated to account for the change of wavelength. We note that the main fibre background in the coveted fingerprint region originates from silica Raman peaks which are thus immune to the WMRS and can only be removed by background subtraction. This would merit a future study.

For a given power and acquisition time, the signal/noise ratio of a single-shot spectrum is limited by the statistical background fluctuations which we estimate as the shot noise of the background counts. In our case, the SNR ranged from 9 to 21 (ibuprofen and lactose at  $\varnothing 200 \mu\text{m}$  FOV). For imaging applications with subsequent matrix decomposition into spectral components and weights, the single-shot spectra served to determine the chemical composition of a given pixel, i.e. the intensity of the pixel. Thus, the imaging SNR was that of a typical single shot spectrum. On the other hand, the spectral components obtained from our decomposition take into account all pixels that contain spectra from a given compound. This means we effectively have a longer acquisition time proportional to the total amount of that compound in the FOV. As a consequence, the spectra we have extracted from images have a much higher SNR than individual single-shot Raman spectra. As an example, a spectral component from a trapped polystyrene bead is much noisier (Fig. 5(b),  $\text{SNR} \approx 165$ ,  $T_{\text{acq}} = 20$  s) than the same component obtained from the PS imaging (Fig. 2(a),  $\text{SNR} \approx 820$ ,  $T_{\text{acq}} = 5$  s, see Methods: SNR evaluation) despite a  $4\times$  longer pixel acquisition time.

In practice, the measured imaging  $\text{SNR} \gtrsim 10$  allows for trade-offs to be made to the probe design at the cost of this SNR advantage. For example, the fibre length can be increased up to 1 m, or weaker Raman signals may be recorded at the immediate vicinity of the distal end of a short fibre. Finally, excitation power and acquisition time can be increased. However in the latter case, the total exposure may become an issue for cell/tissue viability.

The probe also offers flexibility in choosing the FOV size as a function of the distance from the sample to the fibre tip. The trade off for an increased FOV is lower resolution and reduced collection efficiency. The focusing efficiency remains approximately the same thanks to power redistribution between different modes within the fibre, and the number of resolved points (ratio of  $\varnothing$  FOV to the spot size) also remains relatively constant due to the constant number of modes. The collection efficiency – angular size of the fibre core as seen from the focus – decreases with the inverse square of the distance from the fibre end (see Appendix: A2. Focusing efficiency remarks). However, for a given total number of pixels, a bigger FOV lends itself for imaging more extended (thicker) clusters, producing a stronger signal and thus partially alleviating the weak collection. Hence, as we have demonstrated, FOVs well in excess of the physical fibre diameter are accessible without compromising image and spectral SNRs. This represents a substantial advantage and we may potentially image walls in endoscopic settings, e.g. blood vessels.

Higher NA fibres are expected to increase the collection efficiency and resolution, though a future study would be needed to explore how the silica Raman background behaves with increasing NA. For larger fibre diameters and NAs the number of guided modes grows rapidly as  $(a \cdot \text{NA}/\lambda)^2$  easily reaching  $10^5 - 10^6$ , which becomes impractical for direct TM acquisi-

tion. Single-shot wavefront measurement with digital phase conjugation [12] may be a better approach for those fibres.

Such a wavefront shaping approach for fibre correction can also be directly applied to commercially available fibre Raman probes [41] to convert them directly into imaging devices. At the cost of larger probe size, they offer excellent background suppression due to in-line filters and different fibres for excitation and detection, and improved collection efficiency due to focusing optics.

Obstacles of our approach towards clinical implementation of this Raman imaging system are dictated by the nature of the fibre transmission matrix and its acquisition. Firstly, there is the sensitivity of the TM to deformation of the fibre, which impedes the desired flexibility of the probe. Second is the need to access the distal end of the fibre during the calibration, which is not practical in endoscopic settings. However, recent advances in wavefront shaping overcome these issues and allow for correcting the TM without direct access to the fibre distal tip, either by using a holographic virtual beacon [42], or by using a partially reflecting fibre distal tip [43]. These approaches together with use of fast digital micromirror devices (DMD) [44] can pave the way towards fast bending-resilient Raman endoscopy with an ultra-thin fibre probe.

Our ultra thin probe opens up various perspectives for Raman applications including those in endoscopy especially for retrieving Raman signals from biomedical samples. The imaging modality of the probe was implemented by digitally scanning the excitation beam on the distal end of the fibre by applying different phase masks on the SLM. The approach has applications ranging from Raman spectroscopy of optically trapped matter to Raman imaging of mixture of chemical compounds or bacteria. Additionally, we have a 200  $\mu\text{m}$ -diameter imaging FOV, which exceeds the 125  $\mu\text{m}$  diameter of the fibre, and covers an area sixteen times that of the fibre core. We believe this may open up new opportunities to record Raman spectra in clinical and biomedical studies and in other environments where access is restricted.

## Appendix

### A1. Choice of FOV

Imaging with a given multimode fibre can be done with different FOVs, depending on the distance from the sample plane to the fibre tip. As the imaging plane is set further away, the accessible FOV increases, while the effective NA and the collection efficiency decreases. In our paper we use FOV of 50  $\mu\text{m}$  and 100  $\mu\text{m}$  diameter, and choose optimum separation between fibre tip and the sample in terms of uniformity and average efficiency over the desired range. Figure 6(a) shows the normalized collection efficiency of a point source as a function of distance from the fibre and lateral coordinate. The efficiency is calculated as an intersection of a spherical sector representing the solid angle at which the fibre core is seen from a given point, with the  $\text{NA}=0.22$  acceptance cone of the fibre. The value is further normalized to one.

For the FOV comparable in size with the fibre core ( $\varnothing 50 \mu\text{m}$ ) it is optimal to set the sample as closely to the fibre as possible, in which case the maximal collection efficiency is preserved over the most of the FOV. To avoid touching the sample on the coverslip we select separation distance at 50  $\mu\text{m}$ , which gives the collection profile shown on Fig. 6(b). The green overlay shows the desired FOV.

The closest distance at which the collection efficiency is non-zero over  $\varnothing 100 \mu\text{m}$  circle is  $L = R \cot(\arcsin(NA)) \approx 110.8 \mu\text{m}$  (Fig. 6(c)), however it is highly non-uniform. Putting fibre at  $3L$  gives a uniform collection profile over the whole field of view, but at cost of highly reduced normalized efficiency ( $\approx (1/3)^2$ , Fig. 6(f)). For our experiment we choose the fibre-sample separation of 270  $\mu\text{m} \approx 2.43L$ , which combines relatively uniform profile with higher efficiency than at  $3L$ . The green overlay shows the desired FOV.

Similar reasoning is applied to obtain the distance for  $\varnothing 200 \mu\text{m}$  FOV. We chose it to be 450  $\mu\text{m}$ , which is slightly bigger than  $4L$ , and the normalized collection efficiency is halved

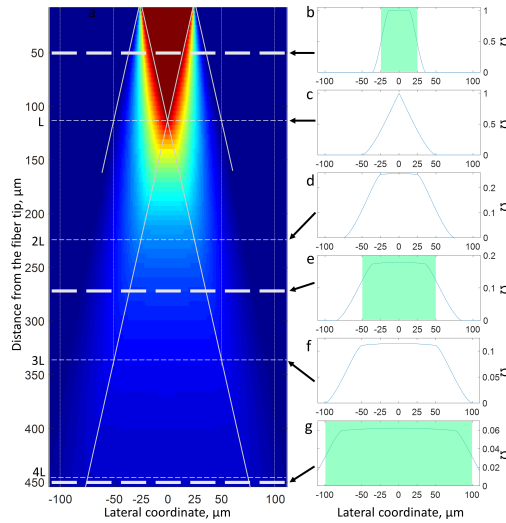


Fig. 6. Normalized collection efficiency as a function of source position. (a) 2D map of collection efficiency. Solid lines depict 0.22 NA divergence. (b-f) Efficiency profiles at (b)  $50\ \mu\text{m}=0.45L$ , (c)  $110.8\ \mu\text{m}=L$ , (d)  $221.6\ \mu\text{m}=2L$ , (e)  $270\ \mu\text{m}\approx 2.43L$ , (f)  $332.4\ \mu\text{m}=3L$ .

towards the edges of the FOV.

It should be noted that the Raman imaging contrast will also be affected by variations of beam focusing efficiency at large distances, which is not included in the calculations above. The focusing efficiency is discussed in Methods section of the main manuscript.

#### A2. Focusing efficiency remarks

It has been previously shown [14] that the radial mode groups in cylindrically symmetric multimode fibers do not strongly couple between each other. Making the assumption of zero coupling between such radial modes, we estimate maximal theoretical focusing efficiency given the uniform illumination of the fiber in the  $k$ -space. Let the total input power of 1 be uniformly distributed in the  $k$ -space over a circle of radius  $K$  determined by the fiber maximal NA:

$$K = \frac{2\pi}{\lambda} NA \quad (7)$$

where  $\lambda$  is the wavelength. The power density in the  $k$ -space is then  $(\pi K^2)^{-1}$ .

At the centre of the fibre axis at a distance  $d$  from the output facet, the apparent angular size of the fibre core is  $\arctan(R/d)$ , which corresponds to the  $k_{max} = \frac{2\pi}{\lambda} \sin(\arctan(R/d))$ .

Provided that all the modes from a given  $2\pi k dk$  ring are directed to the focus, the maximum power in the focus is thus given by:

$$P = \frac{2}{K^2} \int_0^{\min(k_{max}, K)} k dk = \min\left(\frac{k_{max}^2}{K^2}, 1\right). \quad (8)$$

For distances smaller than  $L$ , the maximum power  $P = 1$ . Beyond  $L$  for  $d \gg R$ , the integral scales approximately as inverse square of distance:

$$P = (k_{max}/K)^2 = \sin^2(\arctan(R/d)) = (R/d)^2 + O((R/d)^3). \quad (9)$$

### A3. Optical trap stiffness

The stiffness of optical trap was measured for PS particles of 5  $\mu\text{m}$  and 11  $\mu\text{m}$  diameter at powers 5-50 mW using the equipartition theorem:

$$k = k_b T / \langle x^2 \rangle.$$

To obtain the particle positions we recorder 3000-frame videos with frequency of 409.5 Hz. Then, the coordinates were determined using the particle trapping toolbox for Matlab (Mathworks, MA, US) [45]. Then, the variances  $\langle x^2 \rangle$  were determined after subtracting the linear drift.

The cumulative data for two particles of each size is shown on the Fig. 7, for both  $x$ - and  $y$ - directions. The totality of points for a given bead size was fitted with a linear function to extract the stiffness estimate. The fit gives 0.3 and 0.1 pN/ $\mu\text{m}/\text{mW}$  for 5  $\mu\text{m}$  and 11  $\mu\text{m}$  beads, respectively. It should be noted that the equipartition is based on the variance which is a biased estimator. Notably, any noise in the system leads to an overestimate of the variance and thus underestimate of the stiffness. At the same time at low powers, the variance is underestimated due to the finite acquisition time, which leads to an overestimate of the trap stiffness. Additionally, as the particles were pushed against a coverslip, an increased friction may result in an overestimate of the optical stiffness.

Optical trapping quantification was beyond the scope of this paper, so we did not perform additional stiffness measurement with other techniques. However, the measured estimate agrees well with values reported in literature [46]. The authors trap 20  $\mu\text{m}$  polystyrene particles in air and vacuum, with  $\lambda = 1064$  nm, with  $\text{NA} \approx 0.32$ . The diameter to wavelength ratio is close to that used in our paper (11  $\mu\text{m}$  at 532 nm), and the NA is  $\sim 50\%$  higher than we used. They measure  $0.096 \text{ pN} \cdot \mu\text{m}^{-1} \cdot \text{mW}^{-1}$  trap stiffness, which is in a good agreement with our value of  $0.1 \text{ pN} \cdot \mu\text{m}^{-1} \cdot \text{mW}^{-1}$  measured for 11  $\mu\text{m}$  particles in similar conditions.

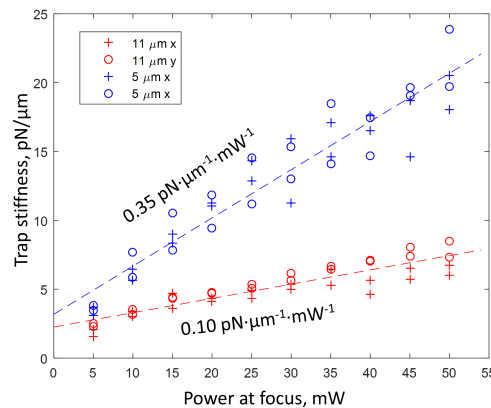


Fig. 7. Trap stiffness for 5  $\mu\text{m}$  and 11  $\mu\text{m}$  spheres as a function of power.

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