ACOUSTIC EMISSION SIGNAL ANALYSIS

by

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### ABSTRACT

An extension of acoustic emission technology was made which permits identification of probable source mechanisms for signals emitted during the failure of metals. This was achieved through the construction of a unique instrument and the development of special computer programs. The instrument permitted wideband digital waveform recordings to be made of both acoustic emission signals generated during the failure of a specimen, as well as calibration signals derived from a helium gas jet. These recordings were then processed by the computer programs to yield power spectra insensitive to specimen geometry, thus allowing the direct comparison of acoustic emissions from different specimens. A series of experiments conducted to test the instrument and the programs resulted in the conclusion that, at the 95% confidence level, acoustic emission caused by brittle particle fracture in 7039 aluminum could be differentiated from acoustic emission caused by the discontinuous movement of a crack in 4340 steel. Detailed descriptions of acoustic emission source modeling, transducer operating principles, calibration techniques and digital signal processing provide the necessary theoretical background for the reported technology extension, while a comprehensive review of the literature of acoustic emission places the experimental work into the proper context.

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J.M.C.

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## CHAPTER 1

## INTRODUCTION

This chapter identifies a problem in the current acoustic emission technology, namely, that there is no method for distinguishing among the probable source mechanisms of signals emitted during the failure of metals. A review of the literature of acoustic emission shows that development of such a signal discrimination technique would extend the applicability of acoustic emission monitoring.

## 1.1 Problem Identification

Nondestructive testing is an area of technology whose function is to characterize materials and structures without rendering them unfit for their intended purpose. Most commonly, nondestructive testing is utilized for detecting the presence of defects which would cause a component or structure to fail prematurely during its service life, but many other applications exist as well. These include the measurement of basic material properties such as density, speed of sound, elastic modulus, electrical conductivity and magnetic permeability as well as process control variables such as coating thickness, degree of heat treatment and amount of surface roughness. As might be expected from

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the diverse nature of these measurements, many different methods of nondestructive testing exist. For the primary task of detecting defects, however, the most popular nondestructive testing techniques are liquid penetrant, magnetic particle, penetrating radiation, eddy current, ultrasound and acoustic emission.

Acoustic emission is the youngest nondestructive testing technique. although as is shown in Section 1.2 the phenomenon itself has been recognized for centuries. Specifically, acoustic emission is the name given to stress waves emitted when a material reacts to decrease its internal energy. The fact that a lowering of internal energy can result in stress waves is a consequence of the first law of thermodynamics (energy is conserved). Conservation of energy, however, does not guarantee that acoustic emission will occur when a potentially dangerous defect grows in a material that is being loaded because the mode of energy partitioning can vary. Indeed, the first question that must be answered by a nondestructive testing engineer attempting to apply acoustic emission is whether the phenomenon may be expected to occur prior to the fracture of the article which is to be monitored. An important point to notice is that because of the manner in which the signals are generated acoustic emission monitoring is generally partially destructive, e.g., the specimen must suffer some degree of damage if emissions are to be produced.

The fact that acoustic emission is the result of processes occurring within a material has enormous practical significance which sets it apart from the other nondestructive defect detection methods

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mentioned previously. The other methods require that the article to be inspected be placed in an artificial environment in which an energy field is created for the purpose of establishing specific material-energy interactions which are perturbed by the presence of defects. Acoustic emission nondestructive testing, on the other hand, occurs in real-time and can be applied to an in-service article in its normal environment. Another important advantage is that the stress waves from the internal material processes can travel many meters (depending on the attenuation characteristics and geometry of the component). These two attributes theoretically permit all portions of a large structure in normal service to be continuously monitored for the presence of growing defects.

One fundamental problem exists which prevents the technique of accoustic emission from being applied on a routine basis for the continuous detection of flaws in important structures. This problem is that the technology that is currently used for processing acoustic emission signals cannot discriminate between signals in a fashion that will allow the positive identification of the material process which is the source of the acoustic emission. In view of this difficulty it is reasonable to ask why acoustic emission monitoring is considered useful at all. The answer is that acoustic emission monitoring is so sensitive that it can detect the presence of a crack long before it would be possible to do so with any other nondestructive testing method. For example, Carlyle and Scott [Ref 1] were able to detect the presence of a fatigue crack in a laboratory specimen by its acoustic emissions 100,000 cycles before it could be confirmed visually. This was accomplished in

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spite of the fact that acoustic emission from the testing machine's loading mechanism interfered with the acoustic emission from the crack. Carlyle and Scott did not discriminate between individual signals, but rather circumstantially associated a group of acoustic emission signals with the crack by using an instrument which they later patented [Ref 2].

There are, however, many situations in which continuous detection of defects is desirable and circumstances preclude the application of signal association methods. An example is the detection of cracks in the tubes of operating boilers. Such tubes typically become coated in service with a scale which cracks under the same conditions which can cause cracking of the tube itself. Another example is the detection of cracking in critical areas of aircraft structure. Cracks commonly start at fastener holes, but the same loading which causes cracks to form will usually cause fastener fretting first. Fretting is essentially harmless and is quite common, but the acoustic emission it generates cannot be readily differentiated from that caused by cracking. Without some means of signal source identification it would be impractical to apply acoustic emission monitoring in either of these example cases, since the boiler or aircraft would most probably be removed from service because of a benign process rather than a genuine crack which would warrant repair or retirement.

The intent of the work described herein was to extend the technology of acoustic emission nondestructive testing by developing methods for discriminating between acoustic emission signals, thereby permitting the identification of the material processes which caused the

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emitted acoustic emission signal. Such a technological extension would conceivably make economically feasible continuous defect detection in important structures, and thus prevent their possible catastrophic failure due to rarely occurring dangerous defects. Acoustic emission signal discrimination methods were developed by adapting digital signal processing techniques to the needs of acoustic emission technology. Since this had never been done before, it was necessary to build a unique acoustic emission system to acquire, digitize and record the signals. It was also necessary to write signal processing programs which yielded the desired discrimination. Finally, of course, it was necessary to prove through experimentation that the developed techniques worked. These major accomplishments are documented in Chapters 5 and 6, while the remainder of the thesis provides the reader with the requisite theoretical background.

## 1.2 Historical Review

A brief history of acoustic emission (taken from the author's master's thesis [Ref 3]) is appropriate to show the wide variety of situations in which the technique has been found useful. Applications for acoustic emission have been on the increase ever since 1950 when Josef Kaiser [Ref 4] published his pioneering work, but the phenomenon itself has been observed for hundreds of years. Tinsmiths have heard "tin cry" which is produced when the metal twins ever since ancient times, and steel workers have long noted audible clicks caused by martensitic transformations. Mine workers know well the ominous

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creaking sounds heard immediately prior to a cave-in, while construction workers are familiar with the crackling sound associated with the impending failure of overloaded wooden structures. The most dramatic example of acoustic emission occurs in the field of seismology, though, where stress waves are used to characterize fault movement (earthquakes) in terms of energy release, location and depth.

In materials research, the earliest mention of acoustic emission occurred in 1923 when the French metallurgists Portevin and LeChatelier [Ref 5] were studying the effects of large deformations on aluminum alloys. They noted that load drops which were accompanied by a Luder's line formation coincided with a specimen emitted noise; the "Portevin-LeChatelier effect" was subsequently found to occur in other metals which formed Luder's lines. Some time later Joffe and Ehrenfest [Ref 6] reported hearing noises from zinc and heated rock salt. They were studying shear deformation and discovered that as shear progressed in each material with a series of small jumps a noise like the tick of a clock was heard. Each tick could be correlated to a load drop and it was found that the rate of ticking was proportional to the applied load, with thousands of ticks occurring during a single test.

The next reported experiment involving acoustic emission occurred in 1948 when Mason, McSkimin and Shockley [Ref 7] undertook the investigation of dislocation movements induced by twinning tin. Their work is well worth noting for the simple fact that it remains today as one of the only observations of what is perhaps a true acoustic emission waveform. This feat was achieved through careful experimental design in

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which an acoustically matched sample and transducer were compressed between specially designed clamps to obtain an essentially broadband (resonance free) system. Their results are shown in Figure 1.1. Mason, McSkimin and Shockley concluded that the fine structure of the traces was characteristic of the twinning process, caused by the successive passage of twinning dislocations across the specimen at the speed of sound. This has never been confirmed, possibly because of the problems encountered in obtaining detectable signals with their system when using metals which do not twin as extensively as tin.

Josef Kaiser's research [Ref 4], published in 1950, is generally conceded to be the beginning of the present era in acoustic emission study because his work was the first investigation into the phenomenon of acoustic emission for its own sake. He employed transducers, amplifiers and oscilloscopes to study the faint noises he discovered to be present in polycrystalline zinc, steel, tin, brass, aluminum, copper and lead samples undergoing tensile tests. His conclusion that the emissions were produced primarily by grain boundary sliding has since been disproven, while his observation that the emissions were of two types, a low amplitude continuous sound with high amplitude bursts superimposed, has been confirmed many times. He also observed that the amplitude and frequency of the emissions were characteristic of the material and stress level. But perhaps his greatest contribution was the observation that acoustic emission activity appeared to be irreversible. Kaiser found that when a previously loaded sample was reloaded, no emissions were generated until the stress level exceeded its previous high. This behavior has been named the "Kaiser effect",

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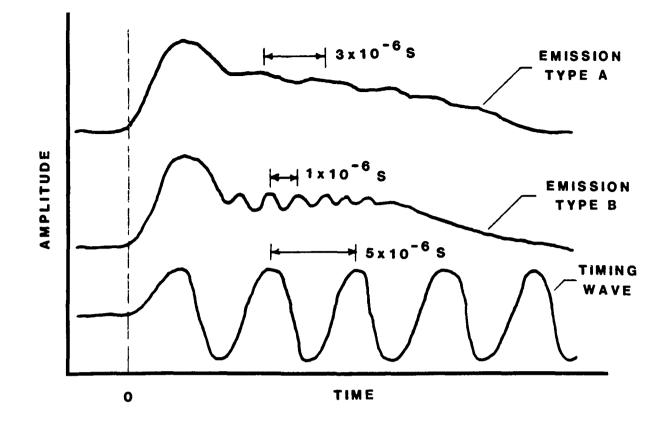


Figure 1.1. Characteristic emissions produced by the twinning of tin [Ref 7].

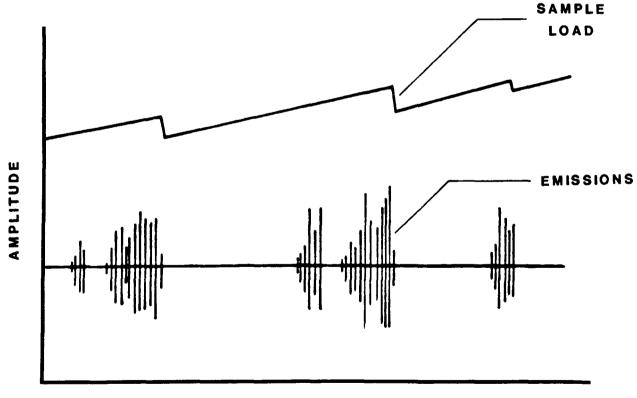




Figure 1.2. Emissions produced by Luder's line formation in soft steel [Ref 10].

and although a few materials (mainly composites) have since been found in which the effect does not occur, it is widely applicable and has been successfully utilized in determining the stresses which structures have undergone in service [Ref 8 and 9].

Kaiser's work was furthered in 1958 when the French metallurgists Lean, Plateau, Bachet and Crussard [Ref 10] reinvestigated the Portevin-LeChatelier effect using electronic instrumentation to record acoustic emission. They concluded that in soft steel emissions were generated at an early stage in Luder's line formation, since the noise was found to precede load drops by milliseconds as Figure 1.2 shows. Somewhat later Schofield [Ref 11] and Tatro [Ref 12] initiated research in the United States in an attempt to identify the sources of acoustic emission. Schofield [Ref 13] discovered that grain boundaries were not the sole sources of emissions since single crystals also emitted noise under stress. Further investigations using anodic etching techniques with polarity reversals and acoustic monitoring during twin formation lead him to conclude that dislocation motion was responsible for acoustic emission. Tatro and Liptai [Ref 14] supported this, suggesting that emission activity was related to the pile-up and breakaway of dislocations. They also reported that barriers to dislocation movement, such as surface oxide layers, changed the emission spectra.

In the meanwhile, geologists had discovered that acoustic emission could be used to detect impending mine collapse [Ref 15]. A series of studies was carried out in the United States in the early 1940's in an attempt to prevent rock bursts through better mining techniques, and

similar studies were initiated in Russia in the late 1940's. The U.S. research efforts were discontinued around 1945, but in Russia the acoustic emission technique was adopted as standard mining practice and was used to identify geologically weak areas by the increase in emissions when a weak area was penetrated. The technique resulted in considerable economic benefits in the shoring requirements of mines, and improved operating safety at the same time. However, little interchange of information took place between materials engineers and geologists and it was not until 1964 that the "new" technique of acoustic emission was used to test the integrity of an engineering structure. This occurred when Green, Lockman and Steele [Ref 16] noticed that audible popping noises were emitted during routine hydraulic proof testing of Polaris rocket motors. Using accelerometers and frequency analysis equipment they devised two methods whereby the failure pressure of a rocket motor could be predicted. In the first method an average amplitude for the emissions which occurred during the first proof cycle was calculated and plotted against the burst pressure of the motor obtained during the second proof cycle. After a sufficient number of samples had been tested a curve was obtained which could be used to nondestructively determine the failure pressure of the rocket using only one proof cycle. Since there was a considerable amount of scatter in this method a second procedure was developed whereby a three-dimensional plot of emission amplitude at different frequencies as a function of hydraulic pressure was made during a proof test. This plot, coined a "missile-print" because of its close association with the voice-prints used in law enforcement, enabled better predictions of failure pressure to be made.

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More significantly, it enabled Green, Lockman and Steele to predict the type of failure which would ultimately destroy the rocket by the patterns created in the plot.

Acoustic emission applications developed rapidly from this point. partly because of the relative simplicity of the instrumentation needed. but also because the inherent sensitivity of the technique (detection thresholds on the order of femtometers for displacement and milli-Pascals for pressure) enabled many microscopic processes occurring in materials to be studied. Metallurgists used the phenomenon to study martensitic transformations [Ref 17], where they found that martensite plates forming in microseconds could be detected. Flawed materials undergoing fracture toughness tests were monitored acoustically to detect pop-in [Ref 18], a condition in which a crack suddenly forms in the highly stressed region around a flaw. Acoustic emission detection of pop-in is relatively easy as it is composed of high amplitude emissions, and the technique was welcomed by experimenters who were trying to accurately determine the driving force necessary to initiate failure in high strength materials. Plastic deformation at crack tips and other highly stressed regions was also studied, with one experiment [Ref 19] reporting that strain increments as small as 0.1 microstrain produced detectable emissions. Dislocation movements were studied as well and there is now considerable evidence that the cooperative movement of numbers of dislocations are needed to produce detectable stress waves [Ref 20].

A very important application for acoustic emission testing is the

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detection of growing flaws. Laboratory studies have revealed that growing cracks occurring during hydrogen embrittlement, stress corrosion cracking, welding and low cycle fatigue can all be detected by continuous monitoring of acoustic emission. Moreover, in some cases it has proved possible to directly infer the amount of crack growth from the acoustic emission data [Ref 21]. Dunegan [Ref 22] has shown that flawed steel pressure vessels will generate emissions much earlier than unflawed ones, and has been able to diagnose the presence of potentially dangerous flaws at low stresses and make reasonably accurate failure pressure predictions at roughly 70% of the final failure pressure. This has enabled companies to evaluate pressure vessels during their working life by occasionally submitting them to a proof test, thus preventing accidents due to catastrophic failure.

The atomic energy industry is particularly interested in the capability of acoustic emission to remotely detect flaws well before they become dangerous. Extensive research [Ref 23] has been performed in developing transducers which will operate in the hostile environment of a operating reactor and in determining whether or not growing flaws can be detected through the high background noise usually present. Several useful side effects of acoustic emission monitoring emerged from this research when it was found that boiling core coolant could easily be discerned, thus leading to better control of the reactor. Further, it was found that there was a sonic "signature" associated with each reactor that could be used to determine whether normal operation was prevailing. Having proved the feasibility and usefulness of the technique, considerable effort was then expended upon building systems

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which could locate emission sources inside a reactor. Parry [Ref 24] reported the development of a four transducer system which utilized a computer to process emission arrival data into a location on the surface of a pressure vessel. His equipment could handle a million emissions per hour and was capable of locating sources with an accuracy of 2 centimeters on vessels having a capacity of 25 kiloliters.

Industrial applications for acoustic emission testing have also been reported. The work of Jolly [Ref 25] demonstrated the feasibility of in-process monitoring of welds. He was able to show sensitivity to weld cracking caused by contamination as well as being able to detect slag inclusions in submerged arc welds. Prine [Ref 26] successfully monitored production line submerged arc welds in steel tank cars. His acoustic emission results gave excellent correlation with radiographs on both artificially induced and natural defects even when noise from the welding arc and cracking slag caused some interference. In another area Hutton [Ref 27] proved that acoustic emission could provide process control information on metal drawing operations. His data on the forming of metal jackets for small arms bullets showed that the emission pattern was sensitive to a number of process variations which affected the final quality of the product.

A large amount of work has been expended upon acoustic emission monitoring in composites since they were found to be copious emitters of acoustic emission. Rathbun, Beattie and Hiles [Ref 28] reported that in filament wound pressure vessels emissions were generated in areas where structural damage took place and specifically where filaments were

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broken. Unlike the experience of Green, Lockman and Steele with the Polaris rockets mentioned previously, however, Rathbun, Beattie and Hiles concluded that there was no definite indicator in the emission pattern which would allow a prediction to be made of the burst pressure. Liptai [Ref 29], investigating tensile failures of filament wound rings, concluded that the failure followed a cumulative damage mode which could be studied with acoustic emission. Pattnaik and Lawley [Ref 30] reported that in Al-CuAl<sub>2</sub> composites emissions were the result of premature cracking of the CuAl, phase, but they were unable to develop a quantitative correlation between the amount of damage and the total acoustic emission. Harris, Tetelman and Darwish [Ref 31] on the other hand, were able to find such a correlation in their work on Al-Al, Ni. Starting with the knowledge of the number of cracked fibers as a function of strain (which was determined by optical examination of the surfaces of strained samples), they derived an equation relating the number of acoustic emission counts to the strain in the specimen. Balderston [Ref 32], working with boron fiber reinforced plastic, reported success in predicting the lifetimes of tensile specimens through observation of the acoustic emission count rate during the test. Carlyle [Ref 33] was able to predict the failure of graphite fiber reinforced plastic tensile specimens through the sudden reduction in the acoustic emission count rate. This was found to be caused by the cessation of one of two simultaneously occurring failure mechanisms immediately prior to final fracture. Mullin and Mehan [Ref 34] performed preliminary experiments in boron fiber reinforced plastic in an attempt to develop a relationship between dominant frequencies

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observed in emissions from the material and particular failure mechanisms. Speake and Curtis [Ref 35] extended this work by using a foil transducer which reportedly had a flat response over the frequency range of 10 kHz to 5 MHz. They concluded that while some correlation between dominant frequencies and specific failure mechanisms did exist, more work was required to eliminate the extensive effects of material and geometry upon the emissions.

Clearly, acoustic emission testing has applications in a variety of fields, from basic research into the properties of materials to flaw detection in large engineering structures. However, as was stated in Section 1.1, the fundamental problem of not being able to identify the failure mechanism which caused the acoustic emission signal prevents the technique from being more widely utilized. The remainder of this thesis is devoted to developing signal processing techniques which will allow this problem to be overcome.

## CHAPTER 2

## FUNDAMENTALS

This chapter develops the theoretical background for acoustic emission. Material processes which generate acoustic emission are described, models which predict the specimen surface response resulting from the operation of such sources are reviewed, signal propagation effects which modify the acoustic emission waveform are examined and the operating principles of transducers are discussed.

## 2.1 Sources of Acoustic Emission

As was made clear in the previous chapter, the phenomenon of acoustic emission occurs in many different materials. What has not been pointed out is that the amount of acoustic emission generated by a material is highly dependent upon parameters such as composition, grain size, impurity content, the deformation process, the fracture mode, and even its prior stress history. Indeed, the amount of acoustic emission received from a specimen can be dependent upon the direction in which it is stressed [Ref 36]. The explanation for this behavior lies in the nature of the microscopic processes which are ultimately responsible for the creation of acoustic emission, and in the fact that more than one

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process can contribute to the observed acoustic emission output during a test.

Single crystals have been investigated by several workers with regard to their acoustic emission response. The advantage of working with single crystals is that there are no grain boundaries to complicate data interpretation, and as long as care is taken to merely plastically deform the specimen and not to fail it, the acoustic emission activity can only be caused by dislocation movements. Schofield [Ref 13] studied aluminum single crystals and concluded that the source of acoustic emission was the unpinning of dislocation pileups. His experiments indicated that barriers to dislocation movement such as oxide surfaces significantly increased acoustic emission activity, and that a minimum energy release was required via dislocation unpinning to produce an acoustic emission signal. Fisher and Lally [Ref 19] showed a strain rate dependence for the acoustic emission from magnesium single crystals, and suggested that discontinuous microplastic deformation was responsible for acoustic emission. James and Carpenter's work [Ref 20] on sodium chloride, lithium fluoride and zinc single crystals indicated that the acoustic emission rate was proportional to the change in the mobile dislocation density rate. Similarly to Schofield, they subscribed to the theory that dislocation breakaway from pinning sites was responsible for acoustic emission. They proposed a concept of stimulated breakaway of dislocations, whereby the freeing of one or two dislocations would trigger the unpinning of others. This concept was used to explain the discontinuous nature of plastic deformation of the sort noted by Fisher and Lally. The concept could also be used to

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explain the two basic types of acoustic emission, since a homogeneous spatial distribution of pinned dislocations would result in continuous emission while a segregation of pinned dislocations would result in burst emission behavior. Kiesewetter and Schiller [Ref 37], using aluminum single crystals, found that acoustic emission was proportional to the strain rate, and proposed that the source of the emission was elastic radiation accompanying dislocation acceleration and deceleration. Using this acoustic version of "bremsstrahlung" they showed that the strain rate dependence was due to the reduction in ultimate size of the area of Frank-Read generated dislocation loops. Such a reduction would result in a shorter dislocation line length, hence less dislocation energy, and therefore less acoustic emission energy would be created when the dislocation started or stopped.

Polycrystalline materials allow a restriction to be placed on the movement of dislocations, and therefore should result in acoustic emission being dependent upon grain size. Kiesewetter and Schiller [Ref 37] report such a relationship in 99.99% pure aluminum, with acoustic emission activity increasing with increasing grain size up to an upper limit defined by the emission behavior of a single crystal, as shown in Figure 2.1. They explain this result by pointing out that dislocations in one slip system can be stopped from moving by interactions with dislocations in another slip system. As the grain size is decreased more interactions are to be expected, thus the slip area of the dislocation and hence its associated energy are reduced, resulting in less acoustic emission. Frederick [Ref 38] obtained results in 99.99% pure aluminum which somewhat contradict this. As Figure 2.2 depicts, he

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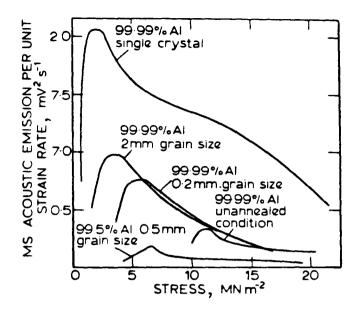


Figure 2.1. Stress dependence of acoustic emission voltage output in 99.99% pure aluminum as a function of grain size [Ref 37].

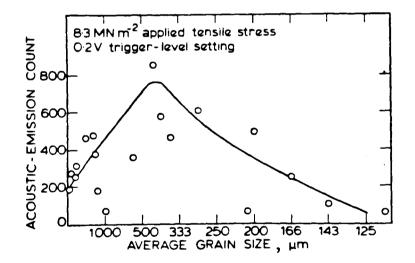


Figure 2.2. Grain size dependence of total acoustic emission up to a specific stress level in 99.99% pure aluminum, note the inverse scale on the abcissa [Ref 38].

found that as the grain size increased to 350 microns the acoustic emission also increased, but when the grain size grew larger than 350 microns the emission output fell. The behavior when the grain size was less than 350 microns was explained by the increasing dislocation slip area with increasing grain size, in agreement with Kiesewetter and Schiller above. However, when the grain size was larger than 350 microns, Frederick attributed the decrease in acoustic emission to a decrease in grain boundary dislocation sources caused by the decreasing grain boundary area. Tandon and Tangri [Ref 39] reported in Fe-3.0 weight percent Si a similar behavior to that found by Frederick in 99.99% pure aluminum, i.e., an increase in acoustic emission with increasing grain size up to a maximum of 400 microns followed by a decrease in acoustic emission as the grain size increased further.

It is reasonable to conclude from the foregoing that dislocation movement is responsible for the acoustic emission generated by the deformation of single crystals and polycrystalline materials. However, the particular aspect of the dislocation movement which is actually responsible for the generation of the acoustic emission under a given circumstance is still in doubt, primarily because of difficulties in interpreting the complex interactions between experimental testing variables and potential changes in deformation behavior. For example, Tandon and Tangri's result above was reversed, i.e., increasing grain size in Fe-3.0 Si caused a decrease in acoustic emission when the test included the acoustic emission output up to 2.5% total plastic strain. This occurred because Luders' band formation above 90% of yield limited the slip area of dislocations, and since larger grain sizes allowed more

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extensive Luders' band formation the acoustic emission output fell with increasing grain size. Carpenter and Heiple [Ref 40] show that other parameters in addition to grain size, surface condition and strain rate discussed above can affect the acoustic emission output observed during deformation of materials. They cite such things as test temperature, sample purity, crystal structure, stacking fault energy, prior mechanical work, heat treatment, and sample size which have also been found experimentally to have a bearing on acoustic emission behavior. Notwithstanding these complications, it is concluded on the basis of the evidence presented that acoustic emission generated during the plastic deformation of single crystals and polycrystals is governed by the glide distance and length of moving dislocations, by the number of dislocations which move simultaneously, or both.

To this point the discussion has been limited to the deformation of relatively pure materials. However, since alloys are of more engineering interest, it is useful to consider how the addition of impurities affects acoustic emission behavior. The work of Wadley and Scruby, et. al. [Ref 41 to 43] is instructive for its systematic approach in explaining the sources of acoustic emission in aluminum alloys as a function of alloying elements. They first assumed that the source of the acoustic emission was an expanding dislocation loop inclined at 45 degrees to the surface normal, which they modeled through the use of two orthogonal force dipoles. Following a procedure described by Burridge and Knoppoff [Ref 44], they showed that the vertical displacement at the epicenter of such a dislocation loop due to

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the first arrival longitudinal pulse was given by:

$$\delta = \frac{b a v c_s^2}{D c_i^3}$$
(2.1)

where  $c_{|}$  is the longitudinal wavespeed,  $c_{s}$  is the shear wave speed, b is the dislocation Burgers' vector, D is the depth of the dislocation loop below the surface, a is the radius which the loop expands by, and v is the velocity at which the loop expands. Using values typical of their material and transducer, they calculated that only dislocation motions for which the product of a and v was above 0.036 meters<sup>2</sup> per second could be detected during their experiments.

The results obtained by Wadley and Scruby in 99.999% pure single crystal and polycrystalline aluminum are shown in Figure 2.3, along with a schematic showing how the product of a and v was expected to vary with applied strain and thus control the acoustic emission activity. For the single crystal material, dislocation motion was restricted by forest interactions after yield and for the polycrystalline aluminum dislocation movement was restricted by the grain boundaries and interactions between multiple slip systems, as postulated by Kiesewetter and Schiller. The expanding dislocation loop model required that for a given strain rate the total acoustic emission energy released during a test should increase with increasing grain size, and that the emission power should vary linearly with strain rate for a given grain size. Significantly, both of these requirements were experimentally observed. However, when 1.3 weight percent of magnesium was added to otherwise pure aluminum to form a precipitation and segregation free solid

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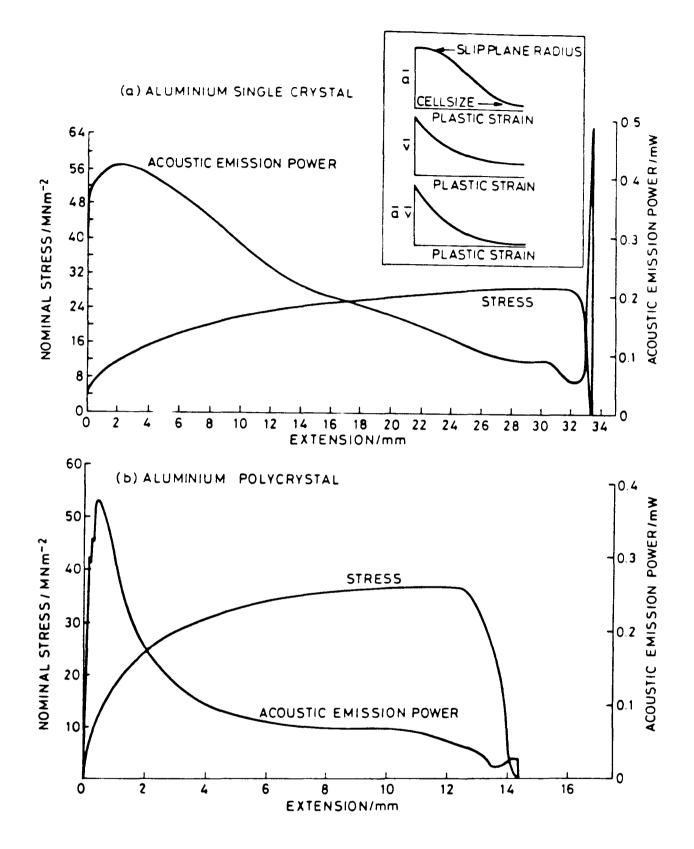


Figure 2.3. Extension dependence of acoustic emission and stress in (a) aluminum single crystal and (b) an aluminum polycrystal of 660 micron grain size. Dislocation mean free path a and velocity v dependence is shown in inset, product av determines the acoustic emission amplitude [Ref 42].

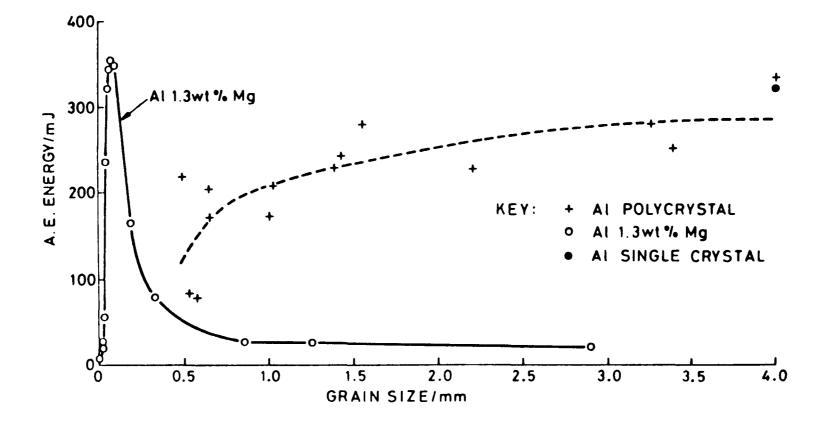


Figure 2.4. Grain size dependence of acoustic emission from 99.99% pure aluminum and Al-1.3 weight percent Mg [Ref 42].

solution, these relationships were profoundly affected, as shown in Figure 2.4. This behavior was explained through increased dislocation slip area as the grain size was increased to 80 microns, followed by a reduced number of dislocations which could move due to the increasing flow stress as the grain size increased from 80 microns. One other important effect which the solid solution had on acoustic emission activity was the replacement of continuous emission by burst emission. This was presumed to be due to the pinning of dislocations caused by solute atom diffusion, with a discontinuous escape of the dislocations as the applied stress exceeded the drag stress.

The effect of precipitation on acoustic emission activity was investigated by Wadley and Scruby by adding 4 weight percent of copper to pure aluminum and studying the effect of isothermal aging. Figure 2.5 shows their results. Acoustic emission in the quenched material is low because the copper is in solid solution. With 1.5 hour 170 °C aging, fine precipitates form which initially impede dislocation movement, but which soften as they are sheared by dislocations at higher applied stresses. This results in an avalanche of dislocations as a slip band is formed, resulting in high energy burst emissions. With increasing aging time the precipitates grow larger and stronger. Dislocations are no longer able to shear the precipitates, thus no discontinuous deformation occurs and the acoustic emission activity reduces. Further study of the effect of precipitates by Wadley and Scruby using Al-5.5 Zn-2.5 Mg and Al-5.5 Zn-2.5 Mg-1.6 Cu (weight percentages) revealed somewhat different results. In the quenched condition acoustic emission was governed by dislocation breakaway from

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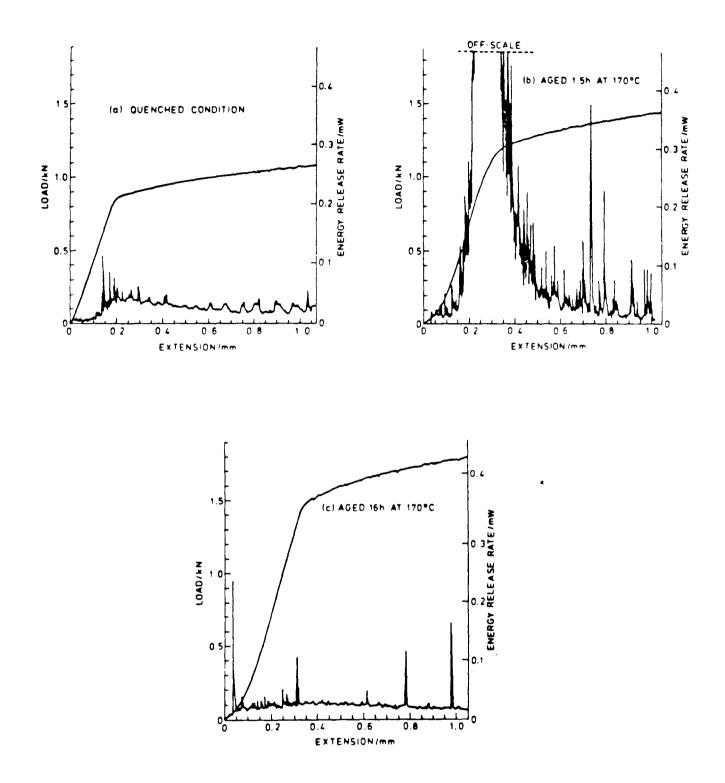


Figure 2.5. Extension dependence of acoustic emission and load for A1-4.0 weight percent Cu as a function of aging [Ref 42].

the pinning solute. Short aging times created small precipitates which limited dislocation velocity and thus reduced the emission output from the quenched condition. Longer aging times were characterized by vigorous burst emission of much higher amplitude than in the quenched material, which was believed to be due to cooperative dislocation movement caused by softening of the precipitate structure on a glide plane, but which could also have been caused by intergranular fracture.

The effect of precipitates on the acoustic emission behavior of aluminum alloys has also been investigated by Cousland and Scala [Ref They studied 7075 aluminum (Al-6.2 Zn-2.2 Mg-2.3 Cu-0.1 Cr, weight 45]. percent) and 7050 aluminum (Al-6.2 Zn-2.2 Mg-2.3 Cu-0.1 Zr, weight percent), both in the T7351 condition. The essential difference between these alloys and those used by Wadley and Scruby is the addition of the zirconium or chromium and the fact that the material received a 2% strain before final aging. They performed both tension and compression tests, and obtained little or no acoustic emission during compression but copious emission during tension, with the "dirtier" 7075 emitting more than the "cleaner" 7050. They argued that since the deformation processes would be similar in tension or compression while particle fracture would be expected only during tensile testing that the source of acoustic emission had to be due to the fracture of brittle precipitates. Support for this hypothesis came from the fact that no slip band formation (which would be associated with dislocation avalanches and burst acoustic emission) was observed despite careful examination of both tension and compression specimens, that the amount of acoustic emission received from a tensile specimen correlated with

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the amount of large inclusions in that specimen, and that the amount of acoustic emission was dependent upon the cross-sectional area of particles normal to the applied load. One potential problem with their claim that particle fracture is the sole source of acoustic emission in these alloys is that the distribution of burst emission is relatively uniform from just prior to yield until failure. Because of normal particle size variations in metals it would be expected that particle fracture acoustic emission would follow a Gaussian distribution instead of remaining constant as their data shows.

If particle fracture acts as a source of acoustic emission, it is reasonable to assume that the fracture of the metal itself generates acoustic emission, and indeed this is the case as will now be shown. Fracture is a complicated process whose details depend upon the specific material, its structure, impurity content, temperature, heat treatment, environment, geometry, stress state, and loading history. However, a relatively simple process underlies acoustic emission generation during fracture, namely, the motion of the crack tip. Byerlee and Peselnick [Ref 46] demonstrated this in their study of acoustic emission in glass. Glass is brittle, thus no deformation would be expected during the short testing period, and this was proven by subjecting unslotted specimens to compressive loads greater than those used during fracture testing of slotted specimens without generating acoustic emission. Compressive testing of slotted specimens produced acoustic emission only upon the appearance of a crack. Significantly, no acoustic emission was produced during stable, i.e., constant velocity, crack growth. The parallel with acoustic emission generation via dislocation movement during deformation

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is exact, in that only the starting and stopping of the crack tip during fracture will create acoustic emission, just as does the starting and stopping of a dislocation during deformation.

In metals, where fracture does not occur in such a brittle fashion as in glass, the generation of acoustic emission via crack acceleration and deceleration still occurs, but much more subtly. For example, McBride, MacLachlan and Paradis [Ref 47] performed a study on 7075 aluminum containing different inclusion sizes using 0 (annealed) and T6 (aged) heat treat conditions to determine the source of acoustic emission during slow crack growth caused by fatiguing. Their results show a direct dependence of the emission upon the size of the inclusions which fractured in the material, and it was shown that crack growth and not manufacture was responsible for the presence of the fractured inclusions. Furthermore, acoustic emission was not detected if the strength of the material surrounding the inclusions was too low. From these results, McBride, MacLachlan and Paradis concluded that the acoustic emission response from 7075-T6 aluminum could be predicted from the distribution of the cross-sectional area of the inclusions. It is clear that the movement of the main crack tip in the aluminum itself is not directly responsible for the acoustic emission, but the result of such movement causes discontinuous crack growth in the inclusions along the main crack front if the metal/particle interface is suitable. It is the discontinuous movement of these small cracks which is directly responsible for the observed acoustic emission.

Nozue and Kishi's work [Ref 48] provides further support for the

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discontinuous movement of cracks being responsible for generating acoustic emission during fracture. They studied the tensile failure of 4340 steel (Fe-0.4 C-1.8 Ni-0.81 Cr-0.78 Mn-0.3 Si-0.19 Mo, weight percentages) tempered at various temperatures. Stable crack growth in the specimen with the highest tempering temperature produced no acoustic emission, and microscopic examination showed that the fracture surface consisted entirely of dimpled ductile fracture. Specimens tempered at lower temperatures produced acoustic emission during stable crack growth which was inversely related to the tempering temperature. The fracture surfaces showed varying amounts of intergranular brittle fracture. Nozue and Kishi were able to obtain a linear relationship between the cumulative squared emission voltage and the cumulative area of intergranular cracking on the fracture surface. Since discontinuous crack movement is associated with brittle cracking while continuous crack velocity is associated with ductile cracking, it has once again been shown that acoustic emission during fracture is generated by changes in the velocity of cracking.

2.2 Source Models

It was shown in the previous section that the ultimate source of acoustic emission is the acceleration and deceleration of either dislocations or cracks. The purpose of this section will be to show how these phenomena can be modeled to predict how the surface of the material will react.

The movement of a dislocation during deformation or the lengthening

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of a crack during fracture can both be considered relaxation processes since their operation tends to lower the stored energy of the material. This relaxation will be accompanied by a spherical acoustic wave whose energy density is given by Stone and Dingwall [Ref 49] as:

$$E = \frac{P_o^2}{2 \rho_o c^2} \left[ 1 + \frac{c^2}{2 \omega^2 r^2} \right]$$
(2.2)

where  $P_o$  is the acoustic pressure,  $\varrho_o$  is the density of the material, c is the wave speed,  $\omega$  is the angular frequency, and r is the distance from the source. Beyond one wavelength the second term may be neglected, and since:

$$P_o = \frac{\varrho_o c^2 \delta \sigma}{E}$$
(2.3)

where  $\delta \sigma$  is a stress drop and E is Young's modulus, the energy density in the acoustic wave is approximated by:

$$E_{d} \sim \frac{\varrho_{o} c^{2} (\delta \sigma)^{2}}{2 E^{2}}$$
(2.4)

Now, the elastic energy density in a material is given by:

$$U = -\frac{\sigma^2}{2E}$$
(2.5)

where  $\sigma$  is the stress. If it is assumed that the stress drops slightly

by  $\delta \sigma$  which is much less than  $\sigma$ , then:

$$\delta U = \frac{\delta \sigma}{2 E} (2 \sigma - \delta \sigma) \qquad (2.6)$$

The second term of (2.6) may be neglected for a first approximation. Dividing (2.4) by (2.6) will relate the energy carried by the acoustic wave to the energy release caused by the stress change:

$$\frac{E_{d}}{\delta U} \sim \frac{\varrho_{o} c^{2} \delta \sigma}{2 E \sigma} = K \frac{\delta \sigma}{\sigma} \qquad (2.7)$$

The meaning of (2.7) is that the energy carried by an acoustic emission waveform is not a constant proportion of the released stored energy, but is dependent upon the magnitude of the stress drop and the stress at which the drop occurs. Pollock [Ref 50] in a separate analysis has confirmed the stress dependence of the acoustic emission waveform as given by (2.7) and, as shown in Figure 2.6, experimental verification for (2.7) is obtainable as well.

It is instructive to consider the shape of the stress wave near the source so that estimations of the frequencies contained in the stress wave may be made. Stephens and Pollock [Ref 51] argued intuitively that the basic shape of the stress wave was a pulse, because such a waveform would decay to change the static stress level within a specimen, and it has (according to their analysis) associated with it a step displacement waveform which would alter the length of the specimen after it decayed. An oscillatory stress waveform, on the other hand, has a mean value of zero and thus would not change the static stress in a specimen, nor

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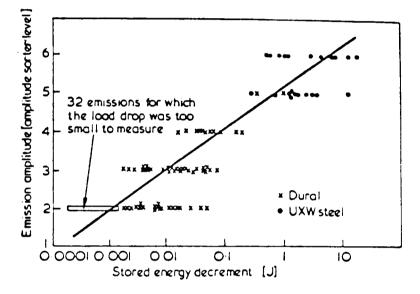


Figure 2.6. Dependence of acoustic emission amplitude on stress drop [Ref 50].

would the associated (according to their analysis) pulse displacement waveform be able to change the specimen length because a sign change upon reflection from a surface would imply a mean value of zero. Using as a hypothetical stress pulse a Gaussian waveform given by:

$$\sigma = \sigma_o \exp\left(\frac{-t}{T^2}\right)$$
 (2.8)

as shown in Figure 2.7, Stephens and Pollock calculated an energy spectral distribution of:

A (f) = 
$$\frac{y_o^2 E}{c} \exp \left[ - \frac{(2 \pi f T)^2}{2} \right]$$
 (2.9)

where  $y_0$  is the height of the displacement step on the surface. Equation (2.9) is plotted in Figure 2.8. It can be seen that it is a Gaussian waveform and that roughly two-thirds of its energy is below a frequency given by  $1/\sqrt{2}\pi T$ . Carlyle [Ref 3] has shown from energy considerations that the minimum lower limit for the duration of an acoustic source when the source waveform is a Gaussian is given by:

$$T = \frac{d}{c\sqrt{2\pi}}$$
(2.10)

where d is the diameter of the source. For steel, with c = 5900 meters per second and assuming a source diameter of 130 microns, (2.10) and (2.9) imply that two-thirds of the acoustic emission energy will occur between DC and 26 MHz.

Ono [Ref 52], following an approach suggested by Malen and Bolin

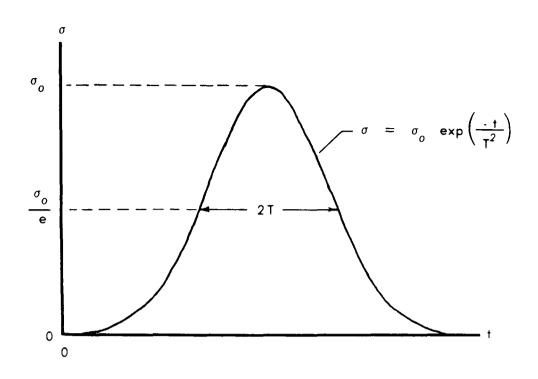


Figure 2.7. Gaussian stress pulse [Ref 51].

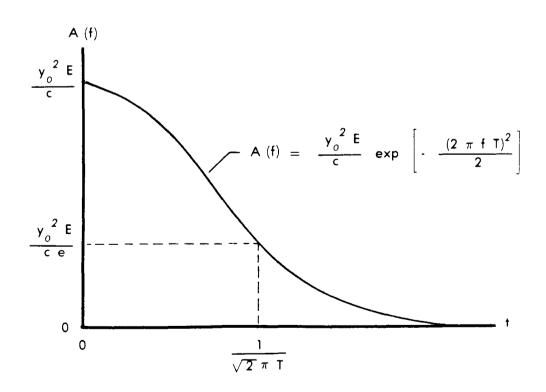


Figure 2.8. Energy spectral distribution resulting from the pulse of Figure 2.7 [Ref 51].

[Ref 53], derived a different expression for the stress waveform. Malen and Bolin had shown that the stress at a distance r from the source had an angular frequency given by:

$$\sigma(\mathbf{r},\omega) = \left\{ \frac{\omega^2}{4 \pi \mathbf{r} \mathbf{c}^2} \exp\left(\frac{j \omega \mathbf{r}}{\mathbf{c}}\right) \right\} \mathbf{S}_{\mathsf{m}} \left(\pi \,\delta\left(\omega\right) - \frac{1}{j \,\omega}\right)$$
(2.11)

where j is  $\sqrt{-1}$ ,  $S_m$  is the magnitude of the source function, and  $\delta(\omega)$  is Dirac's delta function. The quantity in brackets is the response function of the medium in which the wave propagates, while the remainder of the right-hand side of (2.11) represents a step source function. Through Fourier transformation and the replacement of the Dirac delta function with the Gauss error function in order to examine rise-time effects, Ono expressed the stress at a distance r as a function of t as:

$$\sigma(\mathbf{r}, t) = \frac{-S_{m}}{8\sqrt[3]{\pi} \mathbf{r} c^{2} \tau^{2}} \left[ \frac{\frac{\mathbf{r}}{c} \cdot t}{2 \tau} \exp\left(-\frac{\left(\frac{\mathbf{r}}{c} \cdot t\right)^{2}}{4 \tau^{2}}\right) \right]$$
(2.12)

where  $\tau$  is one-quarter of the time it takes the Gauss error function to increase from 0.1 to 0.9 of its final value. The terms in the brackets of (2.12) determine the shape of the stress pulse, which is plotted in Figure 2.9. Ono expressed the magnitude spectrum as:

$$\left| F(\omega) \right| = \frac{S_{m} \omega_{o}}{4 \pi r c^{2}} \left( \frac{\omega}{\omega_{o}} \right) \exp \left( -\frac{\omega^{2}}{\omega_{o}^{2}} \right)$$
(2.13)

where  $\omega_0$  is the reciprocal of  $\tau$ . This is plotted in Figure 2.10.

It can be seen that Figure 2.9 and Figure 2.7 do not agree with one another in spite of the fact that similar displacement waveforms were

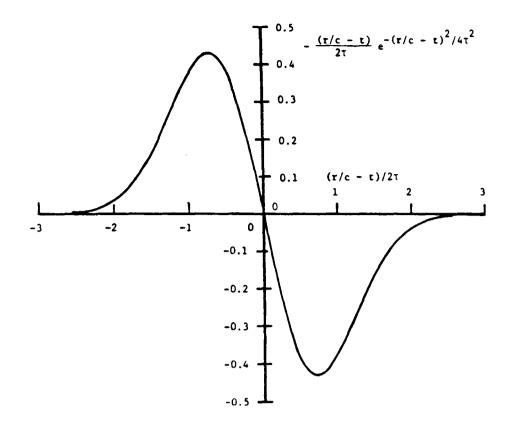


Figure 2.9. Bipolar stress pulse [Ref 52].

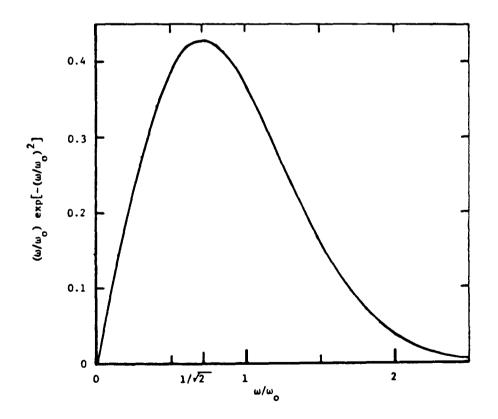


Figure 2.10. Energy spectral distribution resulting from the pulse of Figure 2.9 [Ref 52].

used to obtain them. The reason for this seeming contradiction is that the problem posed by Stephens and Pollock is incomplete because they do not specify the forces acting at the source, nor do they specify where they measure the stress pulse. Ono's derivation, while more complete than Stephens and Pollock's treatment, is also lacking since his theory is based on propagation in an infinite medium and does not treat the effect of surfaces. Pao, Gajewski, and Ceranoglu [Ref 54] have done theoretical work to show the effect of different forces measured at various points in a plate. Figure 2.11a shows their results for a buried vertical monopole force with a step-function time dependency producing a displacement (which must be integrated to obtain stress) at the epicenter of the plate, with Figure 2.11b showing the result when the displacement due to this force is measured six plate thicknesses away from epicenter. Figure 2.12a shows the epicentral response of a buried dipole force with a step-function time dependency, while Figure 2.12b shows the same epicentral response of the same buried dipole force, but this time with a parabolic ramp-function time dependency. Figure 2.12c shows the result when this last force is measured six plate thicknesses away from epicenter. These figures make clear that the results of Stephens and Pollock and of Ono are specific cases of the complete problem and highlight the necessity for being rigorous when attempting to analyze elastic waves emitted by a source in a material.

The propagation of waves in elastic bodies has been studied extensively by seismologists since the problem was first addressed by Lamb in the early part of the twentieth century [Ref 55]. Breckenridge, Tschiegg, and Greenspan [Ref 56] were the first to utilize the formalism

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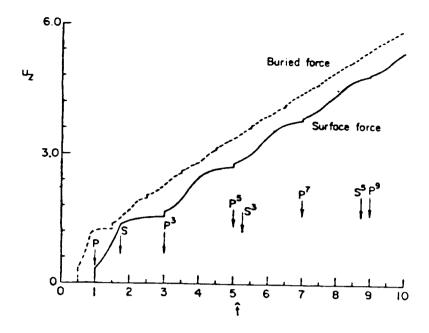


Figure 2.11a. Vertical displacement of a plate at epicenter due to a buried monopole force [Ref 54].

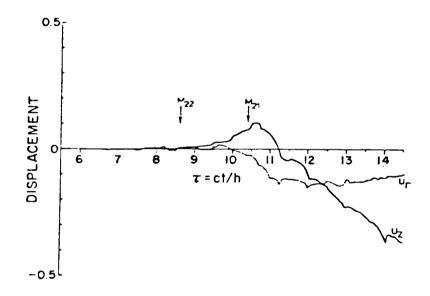


Figure 2.11b. Vertical displacement of a plate six plate thicknesses away from epicenter due to a buried monopole force [Ref 54].

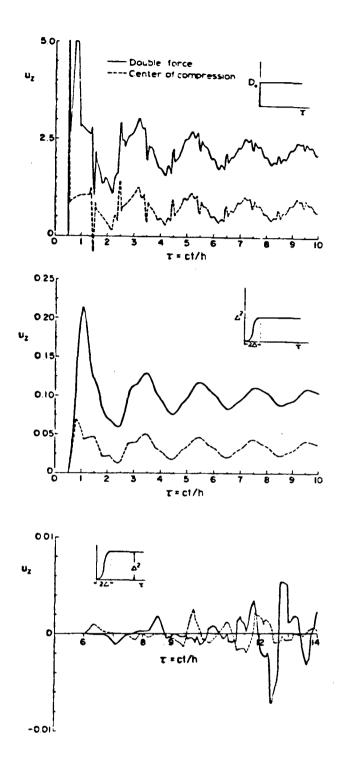


Figure 2.12. Vertical displacement of a plate due to buried dipole forces. (a) Epicenter response when force has a step function time dependence. (b) Epicenter response when force has a ramp function time dependence. (c) Response at six plate thicknesses from epicenter when force has a ramp function time dependence [Ref 54]. of seismology and apply it to acoustic emission. Their interest was in calibrating transducers and, as will be shown in Section 3.1, they were quite successful. Their idea of using seismological concepts to study acoustic emission was furthered by Hsu and Hardy [Ref 57], who, as shown in Figure 2.13, were able to obtain excellent agreement between experimental results and numerical results calculated using the theory of the generalized ray (the same seismological theory used by Pao, Gajewski and Ceranoglu to produce Figures 2.11 and 2.12).

The essence of the generalized ray theory is that the displacement response u in a specific direction i at a position x and time t is given by the convolution with respect to  $\tau$  of the material response function G with a source function S operating in direction j at position y:

$$u_{i}(x, t) = \int \int G_{ij}(x, t-\tau; y) S_{j}(y, \tau) d^{3}y d\tau \qquad (2.14)$$

$$-\infty \quad V$$

The material response function  $G_{ij}(x,t;y)$  is known as the dynamic elastic Green's function (or transfer function) and has been calculated for an infinite space, an infinite half-space and an infinite plate. Although these are all physically unrealizable objects, the results of the calculation will also be valid in a finite plate from time zero to a time immediately prior to the arrival of any waves reflected from the edges of the plate. Another problem is that (2.14) is not capable of analytic solution, but needs to be evaluated numerically through an algorithm. Although the algorithm is capable of being solved for an arbitrary number of reflections from the plate surfaces, round-off errors and computer run-time costs will place an upper limit on the

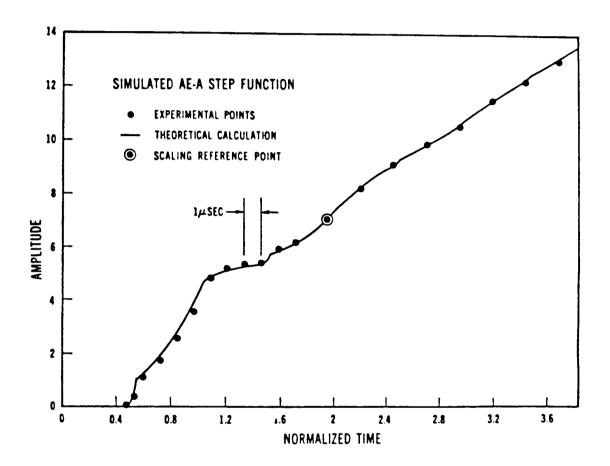


Figure 2.13. Comparison between prediction of generalized ray theory and experimental results for the vertical displacement of a plate at epicenter due to a surface monopole [Ref 57].

number of surface reflections which can actually be used. Thus the generalized ray theory is constrained by specimen size and computer limitations to the first few (typically 10) microseconds of displacement at a location typically within six plate thicknesses from the epicenter of the source.

In spite of the limitations of the generalized ray theory just mentioned, it provides a very useful tool for performing basic studies for source characterization of acoustic emission. To prove this contention, Hsu and Hardy obtained the comparison in Figure 2.13 by breaking a glass capillary on a plate. The excellent agreement between theory and experiment convinced them that the breaking capillary was acting like a step displacement (since that was what had been assumed in the theory) and also that the Green's function was correct for their experimental conditions. They could therefore deconvolve (2.14) to obtain the source force-time function for the glass capillary, and thereby produced Figure 2.14. Another experiment in which a 1.5 mm steel ball was dropped 5 cm produced the deconvolved source force-time function shown in Figure 2.15. Both of these force-time functions are precisely what such mechanisms should produce. The important point is that they were deduced from a displacement measurement made remotely from the point of application of the force, said displacement being caused by the propagation of a stress wave through the material.

Building on these simulated source results, Wadley and Scruby [Ref 58] investigated actual acoustic emission sources caused by cracking in iron and steel. In order to accomplish this task, they modeled the

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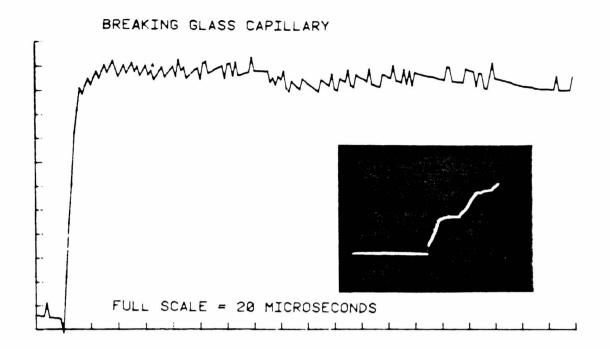


Figure 2.14. Deconvolved source force-time function of a breaking glass capillary calculated from epicentral displacement shown in inset [Ref 57].

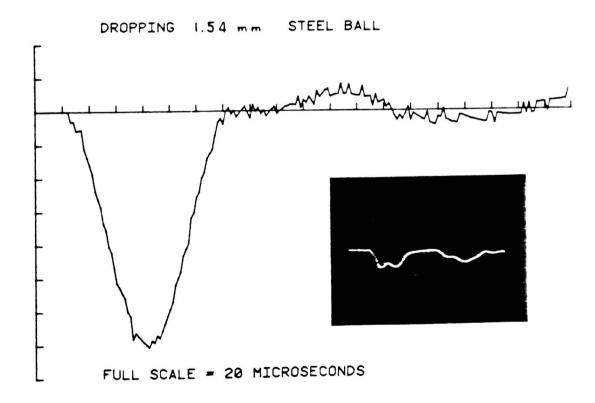


Figure 2.15. Deconvolved source force-time function of a dropped steel ball calculated from epicentral displacement shown in inset [Ref 57].

crack as a combination of three orthogonal force dipoles as suggested by Burridge and Knopoff [Ref 44]:

$$D_{ij} = \begin{bmatrix} \lambda & o & o \\ o & \lambda & o \\ o & o & \lambda + 2\mu \end{bmatrix} \quad b \ \delta \ A \tag{2.15}$$

where  $\lambda$  and  $\mu$  are Lame's constants, b is the Burgers vector of an equivalent edge dislocation loop and  $\delta$  A is the area of the equivalent edge dislocation loop (see Figure 2.16). Using the formalism of equation (2.14) and assuming a step function crack opening, Wadley and Scruby calculated the displacement-time function at epicenter. This function is also shown in Figure 2.16, and can be seen to consist of a singularity when the longitudinal wave arrives followed by an increasing ramp whose maximum corresponds to the arrival of the shear wave. The area of this singularity is proportional to the source strength, and is given by:

$$\Delta = \frac{b \delta A}{2 \pi x_3 c_1}$$
(2.16)

where  $x_3$  is the depth of the source below the surface and  $c_1$  is the longitudinal wavespeed. Of considerable importance is the fact that real cracks will open in a finite time. This will have the effect of widening the singularity and thus giving a means of measuring the time over which the source operates.

It is possible to use (2.16) to arrive at an expression which will allow an estimate of a minimum detectable crack size and velocity to be

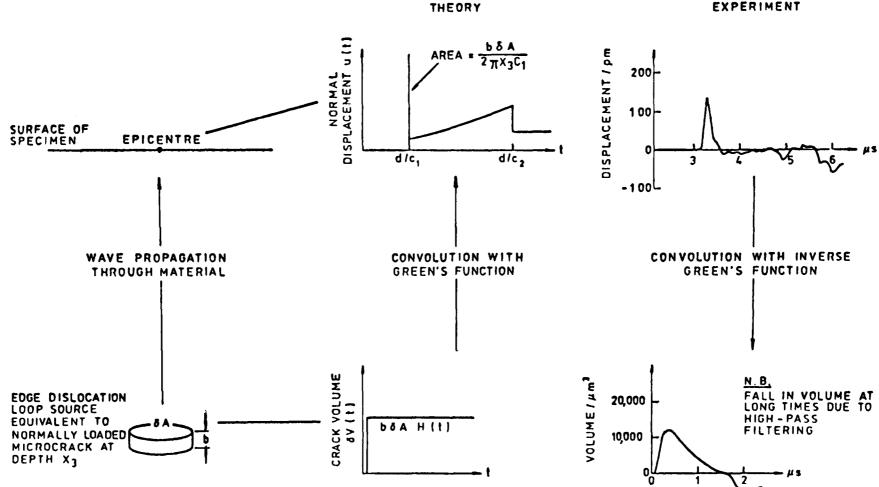


Figure 2.16. Comparison of theoretical and experimental results for the operation of an edge dislocation loop. Contrast the theoretical displacement with that of Figure 2.13; the difference is due to the choice of source functions [Ref 58].

made. Assume that the area of the crack,  $\delta A$ , is  $\pi a^2$  where a is the crack radius. Further assume that the crack grows to radius a in a time  $\tau$  equal to a/v, where v is the crack velocity. Differentiating (2.16) once with respect to  $\tau$ , it can be shown that the maximum displacement for the singularity is given by:

$$U_{\text{max}} = \frac{b \delta A v}{\pi c_1 x_3 a}$$
(2.17)

Wadley and Scruby show that the relationship between the crack volume and crack radius due to an applied stress is:

$$b \,\delta A = \frac{8 \,\pi \,(1 \,\cdot \,\nu^2) \,\sigma \,a^3}{3 \,E}$$
(2.18)

where  $\nu$  is Poisson's ratio, E is Young's modulus, and  $\sigma$  is the applied stress. Substituting (2.18) for  $b\delta A$  in (2.17) yields:

$$U_{max} = \frac{8(1 - \nu^2)\sigma a^2 v}{3Ec_1 x_3}$$
(2.19)

which is the desired expression. By inserting typical values for the specimen and knowing the minimum detectable displacement for the transducer, an estimate of the minimum detectable  $a^2v$  product can be obtained.

Wadley and Scruby performed their experiments in electrolytic iron and mild steel, and obtained numerous acoustic emission displacement waveforms from microcracking sources. They then deconvolved these displacement waveforms using equation (2.14), and obtained results which

showed how the crack volume varied as a function of time (see Figure 2.16). It is clear that the agreement with theory is not exact, but this is explainable because their detection system was band-pass filtered between 35 kHz and 25 MHz. Loss of DC coupling caused the displacement curve to not produce the expected ramp before the shear wave arrival, with the resulting "droop" in the calculated source volume.

## 2.3 Propagation Effects

The source models discussed in the previous section presuppose a lossless media in which the stress wave propagates. Real materials are not lossless, however, and it is necessary to understand the various mechanisms by which the wave energy is lost in order to predict how acoustic emission signals might be affected during actual experiments.

The first component of attenuation which is important to acoustic emission signals is geometrical spreading. Because acoustic emission comes from a point source rather than a line or an area, the stress wave will propagate as a diverging spherical wave. Kinsler and Frey [Ref 59] give the spherical wave equation as:

$$\frac{\partial^2 (\mathbf{r} \mathbf{p})}{\partial t^2} = c^2 \frac{\partial^2 (\mathbf{r} \mathbf{p})}{\partial r^2}$$
(2.20)

where r is the radius, p is the pressure, c is the wave speed, and t is the time. For a diverging spherical wave having harmonic vibrations,

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the solution to (2.20) is:

$$p = \frac{A}{r} \exp \left( j \left( \omega t - k r \right) \right)$$
 (2.21)

where A is the amplitude, j is  $\sqrt{-1}$ ,  $\omega$  is the angular frequency, and k is  $\omega/c$ , the wavelength constant. Thus, a given diameter transducer sensitive to force would have an electrical output inversely proportional to its distance r from the source simply due to the spreading of the wavefront.

In general, the amplitude of the wave will not be constant as indicated in (2.21), but will instead decrease:

$$A = A_{\alpha} \exp(-\alpha r) \qquad (2.22)$$

where  $\alpha$  is the attenuation coefficient. The attenuation is due to two general processes, namely absorption, wherein the acoustic wave performs work as it propagates and thus loses energy, and scattering, whereby part of the energy in the wave is reflected out of the path of propagation. The value of the attenuation coefficient is a function of the material, its homogeneity, its temperature, and the frequency content of the acoustic wave.

Absorption in metals at room temperature for frequencies around 1 MHz can be divided into losses due to hysteresis and losses due to relaxational processes. Hysteresis refers to the lag between the applied stress and the resulting strain when a material is cycled from a positive stress to the negative of that stress and back again. One

mechanism for hysteresis loss occurs when an ultrasonic wave interacts with the stress field of a pinned dislocation [Ref 60]. At low strain amplitudes (about 1 microstrain) the attenuation resulting from this mechanism is proportional to frequency, while at higher strain amplitudes the attenuation is frequency independent. Relaxational losses can occur when there is anisotropy in the structure causing strain variations, and thus heat flow from highly strained regions to lesser strained areas. Relaxation losses can also occur when the acoustic pressure forces atoms into vacant lattice positions against resisting interatomic forces; this is called structural relaxation. Both of these processes are frequency dependent because of the finite relaxation time needed for energy to flow from one position to another. If it is assumed that the acoustic frequency is less than the reciprocal of the relaxation time, then it can be shown according to Blitz [Ref 61] that the attenuation will be proportional to the square of the frequency. The total attenuation due to absorption will be the sum of the attenuations produced by the three absorption mechanisms discussed above:

$$\alpha_{a} = c_{1} + c_{2} f + c_{3} f^{2}$$
 (2.23)

where the c's represent constants.

Scattering results when the sound wave encounters inhomogeneities such as inclusions, pores and flaws. Since, in general, the scatterer will have a different acoustic impedance than the main material, reflection and refraction will occur and energy will be directed out of the path of propagation of the acoustic wave. The amount of scattering

which will occur in a given situation depends upon the frequency of the sound, the cross-sectional area of the scatterer which is normal to the sound propagation direction and the shape of the scatterer. Figure 2.17 shows the kind of behavior obtained from a spherical scatterer by Hochschild [Ref 62]. For a given cross-section of scatterer, the Rayleigh region occurs at low frequencies, where the scattering power is low and varies as the fourth power of the frequency. As the frequency increases the Mie or resonance region occurs, where oscillations in the scattering power occur. At high frequencies the optical region occurs, where the scattering power is constant. The attenuation coefficient due to scattering, as depicted in Figure 2.17, has been expressed by Filipczynski, Pawlowski and Wehr [Ref 63] as:

$$\alpha_{s} = c_{4} d^{3} f^{4} \qquad (d << \lambda)$$

$$\alpha_{c} = c_{s}/d \qquad (d >> \lambda) \qquad (2.24)$$

where d is the diameter of the scatterer and  $\lambda$  is the wavelength of the sound.

In addition to the straight forward energy loss caused by wave spreading and attenuation discussed above, an apparent energy loss can occur if energy is channeled into propagation modes which the transducer cannot detect. Such a phenomenon is called mode conversion. It occurs at boundaries where there is an acoustic impedance mismatch. The physics behind mode conversion has been discussed by Carlyle [Ref 3], and is shown in Figure 2.18a, where a longitudinal wave exerts a force F on a boundary between a solid and air. Resolving F into components  $F_{x}$ 

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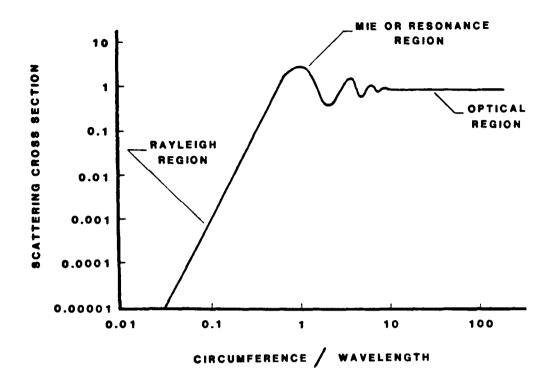


Figure 2.17. Variation in effective size of a spherical flaw with frequency [Ref 62].

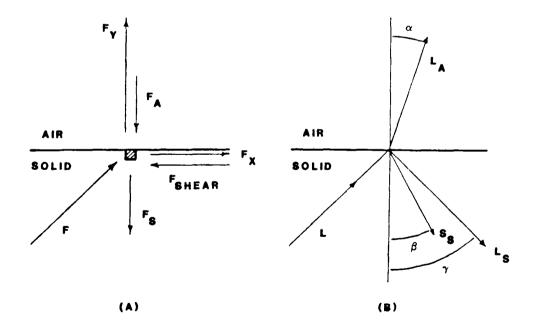


Figure 2.18. Mode conversion. (a) Physical origin of phenomenon. (b) Reflection and refraction of a longitudinal wave at a boundary [Ref 64].

and  $F_y$ , it can be seen that  $F_y$  must be balanced partly by a compressional force  $F_a$  in air and partly by the elastic reaction  $F_s$  of the solid, while  $F_x$  must be entirely balanced by a shear force in the solid since air cannot support a shear stress. Assuming for the moment that a small isolated element is located at the boundary, it will be subjected to both shear and compressional forces and will therefore become a Huygen's source of both shear and compressional waves. The angles that these waves make with a normal to the surface can be found using Snell's law:

$$\frac{\sin \alpha}{c_{|\alpha|}} = \frac{\sin \beta}{c_{ss}} = \frac{\sin \gamma}{c_{|s|}}$$
(2.25)

where  $\alpha$ ,  $\beta$  and  $\gamma$  are defined in Figure 2.18b,  $c_{lo}$  and  $c_{ls}$  are the speeds of longitudinal waves in air and in the solid, respectively, and  $c_{ss}$  is the speed of shear waves in the solid. In addition to the types of waves mentioned, surface waves may also be produced in the solid.

To this point only propagation energy loss mechanisms have been discussed. However, there is at least one other propagation effect of importance to acoustic emission work, namely, dispersion. Dispersion will cause a spreading or broadening of a pulse in the time domain through frequency dependent velocities of various components of the wave. The effect is caused by interference of the wave with itself due to geometry, and is most apparent in Lamb waves in plates. Figure 2.19, due to Krautkramer [Ref 65], shows the complex relationship between plate thickness, sound frequency and velocity. Restricting attention for the moment to the fundamental, or zero order waves, it can be seen

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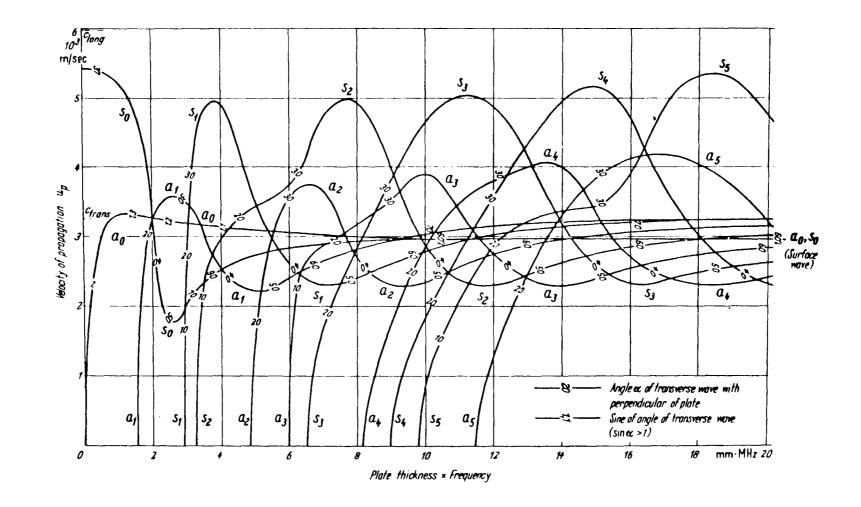


Figure 2.19. Dispersion of Lamb waves in steel where  $c_1 = 5.96$  km/s and  $c_s = 3.26$  km/s [Ref 65].

that the antisymmetric wave propagates slower than the symmetric wave at low values of the plate thickness-sound frequency product, but the situation reverses as this product gets bigger. At any given frequency several orders of both types of Lamb waves can propagate, all at different velocities.

The practical implications of Figure 2.19 have been demonstrated by Elsley and Graham [Ref 66]. The physical arrangement and velocities of propagation, along with the velocity versus frequency curves for the specimen used are shown in Figure 2.20. Also appearing in Figure 2.20 is an equation that they used to calculate the ray path lengths, the first six values of which are 103, 123, 168, 210, 244, and 291 mm. Through appropriate computer programs, they obtained the plots of Figure 2.21, which show a pulse dispersing as it propagates as an antisymmetrical Lamb wave and as a symmetric Lamb wave. It is easy to see in the symmetric Lamb wave plots how the high frequency components arrive later than the low frequency components, with the effect becoming more pronounced as the path length increases. Dispersion in the antisymmetric Lamb wave plots is not so easily seen because a 100 kHz high pass digital filter was used. Of more importance than the graphical illustration of the effects of dispersion is the result obtained when all of the plots in Figure 2.21 are added together to construct a theoretical multipath dispersed waveform. This is shown at the bottom of Figure 2.22, along with a real acoustic emission signal at the top of the graph. The real signal had as its source a crack growing at  $(x_0, y_0)$  in Figure 2.20, and it was recorded at  $(x_1, y_1)$ , precisely the same spot where the theoretical waveform was constructed. Considering

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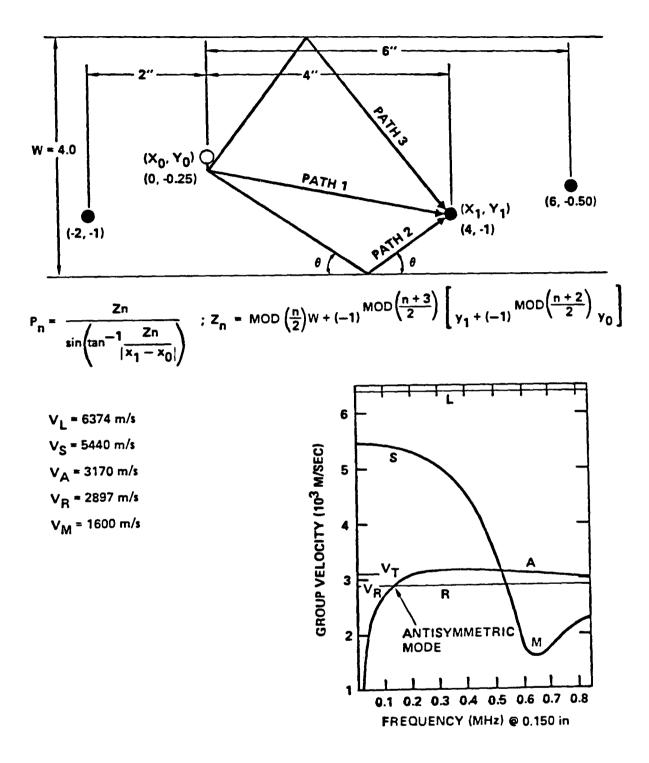
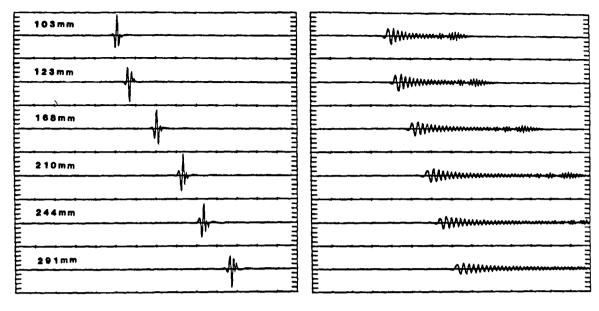


Figure 2.20. Geometry, path length equation and simplified dispersion curves used for theoretical modeling of acoustic emission propagation [Ref 66].



ANTISYMMETRIC

SYMMETRIC

Figure 2.21. Dispersion of a pulse propagating as a symmetric and as an antisymmetric Lamb wave over six path lengths [Ref 66].

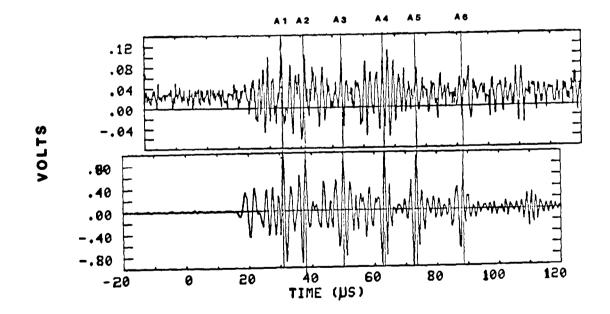


Figure 2.22. Comparison of an actual acoustic emission signal due to crack growth (top) with a theoretical waveform formed by adding together all of the signals in Figure 2.21 [Ref 66].

that there are probably many more paths and higher orders of Lamb waves contributing to the real signal, that the shape of the crack stress wave is probably different from the pulse assumed for the theoretical calculations, and that the transducer averaged the response over an area instead of producing an output from a point as the computer did, the agreement is remarkable.

## 2.4 Signal Detection

Once an elastic wave from an acoustic emission has propagated to the surface of the specimen it must be detected if any use is to be made of its information content. Detection is commonly accomplished with a transducer, which performs its function by converting a particular component of the mechanical elastic wave into an electrical signal which can be conveniently amplified, recorded and processed. Many design requirements must be considered in the selection of a suitable transducer for acoustic emission work, including broad bandwidth, high sensitivity, high response fidelity, small element size, low acoustic impedance, omni-directional reception, and wide dynamic range. These requirements are in some cases mutually exclusive, as for example a broad bandwidth with a high sensitivity, so most often a compromise is necessary.

Three of the design criteria can be treated without consideration for the specific type of transducer to be used; these are omni-directional reception capability, element size, and acoustic impedance. With regard to omni-directional reception, the only option

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available is to design the transducer to respond to the particle displacement normal to the surface of the specimen and to give the element a circular shape when viewed along the specimen normal. Since the response of most transducers is the average value of the displacement over their area, it can be shown according to Kino [Ref 67] that the response of the transducer to the normal displacement caused by a surface wave is given by:

$$V_{s} = \frac{2 J_{1} (k_{s} a)}{k_{s} a}$$
(2.26)

where  $k_s$  is  $2\pi/\lambda_s$ , a is the radius of the transducer, and  $J_1(x)$  is a Bessel function of the first kind. The 3 dB points of (2.26) occur when:

$$a/\lambda_{e} = 0.24 \tag{2.27}$$

For a longitudinal wave the response can be calculated from:

$$V_{|} = 2 \cos \theta \left[ \frac{J_{|} (k_{|} a \sin \theta)}{k_{|} a \sin \theta} \right]$$
(2.28)

where  $k_{\parallel}$  is the wave number for longitudinal waves and  $\theta$  is measured from the surface normal. Using (2.27) and assuming that  $k_{\parallel} = 0.5 k_{s}$ , (2.28) can be solved to show that the 3 dB points for longitudinal waves are  $\theta = \pm 45$  degrees. For a transducer which must respond to frequencies up to 2 MHz mounted on aluminum where  $c_{s} = 3$  km/s, (2.27) requires that the transducer diameter be 0.75 mm. This dependence of the transducer response upon the ratio of the transducer diameter to

sound wavelength is termed the aperture effect.

Acoustic impedance is defined as the product of the density of the media, e, and the speed of sound in the media, c. Using the acoustic impedances of the transducer and the solid in which the acoustic emission propagates, it has been shown by Frederick [Ref 68] that the power transmission coefficient of a longitudinal wave arriving at a boundary at normal incidence is given by:

$$T = \frac{4 \varrho_2 c_2 \varrho_1 c_1}{(\varrho_2 c_2 + \varrho_1 c_1)^2}$$
(2.29)

Assuming that media 1 is aluminum with  $e_1c_1 = 17.3 \times 10^6 \text{ kg/m}^2\text{s}$ , and media 2 is a PZT-5 transducer with  $e_2c_2 = 28 \times 10^6 \text{ kg/m}^2\text{s}$ , then only 94% of the incident sound power in the area under the transducer is transmitted into the transducer. Note that this is the maximum amount of power which can be transmitted; at angles other than normal mode conversion occurs and less power gets into the transducer.

One of the most popular types of transducer is the piezoelectric. Piezoelectricity was discovered by the Curie brothers in 1880, and refers to the production of electric charges on the surface of crystals that do not possess a center of symmetry which have been deformed by mechanical pressure. A schematic representation of the effect as described by Hueter and Bolt [Ref 69] is shown in Figure 2.23. Four different constants are used to characterize piezoelectricity; these are d, the strain developed in an unloaded crystal for a given electric field; e, the stress developed by a given electric field when the

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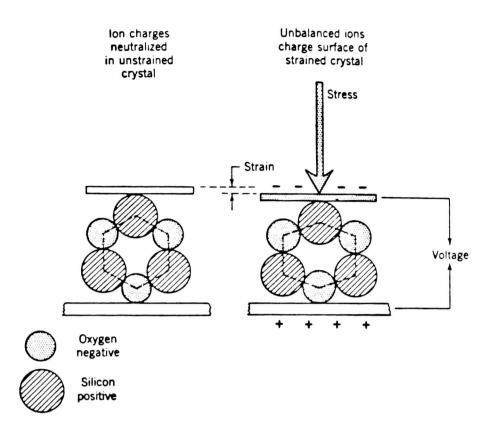


Figure 2.23. Schematic representation of the origin of piezoelectricity [Ref 69].

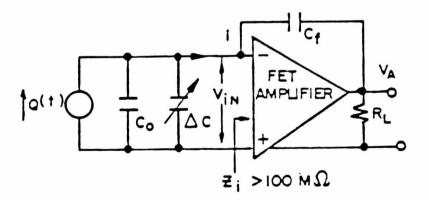


Figure 2.24. Equivalent circuit used to derive Equation 2.35 [Ref 71].

crystal is clamped; g, the open circuit electric field developed for a given stress; and h, the open circuit electric field developed for a given strain. These constants are not independent, and according to Mason [Ref 70] are related in tensor notation as follows:

$$d_{nj} = \frac{\epsilon_{mn}^{T} g_{mj}}{4\pi} = e_{ni} s_{ij}^{E}$$

$$e_{nj} = \frac{\epsilon_{mn}^{S} h_{mj}}{4\pi} = d_{ni} c_{ij}^{E} \qquad m, n = 1 \text{ to } 3$$

$$g_{nj} = 4\pi \beta_{mn}^{T} d_{mj} = h_{ni} s_{ij}^{D} \qquad i, j = 1 \text{ to } 3$$

$$h_{nj} = 4\pi \beta_{mn}^{S} e_{mj} = g_{ni} c_{ij}^{D}$$

where the superscripts T, S, E, and D mean constant stress, strain, electric field and electric displacement, respectively,  $\epsilon$  is the permittivity, s is the elastic compliance, c is the elastic stiffness, and  $\beta$  is the dielectric impermeability.

The piezoelectric g constant has the useful property of predicting the minimum detectable displacement a crystal can sense. By definition:

$$E_{m} = g_{mn}T_{n} = \frac{v_{m}}{l_{m}} = g_{mn}c_{mn}S_{m} = g_{mn}c_{mn}\frac{\xi_{m}}{l_{m}}$$
 (2.31)

where  $\xi$  is the displacement and i is the thickness of the crystal. Solving Equation (2.31) for displacement:

$$\xi_{\rm m} = \frac{v_{\rm m}}{g_{\rm mn} c_{\rm mn}} \tag{2.32}$$

According to Frederick [Ref 68], PZT-5 has  $g_{33} = 0.0248 \text{ mV/N}$  and

 $c_{33} = 67.5 \text{ GN/m}^2$ . Assuming a high impedance amplifier (so as not to disturb the open circuit condition) with an input noise voltage of 10  $\mu$ V, PZT-5 can theoretically detect a minimum displacement of 5.97 femtometers!

To obtain a complete description for the behavior of a piezoelectric crystal, it is necessary to consider the internal energy stored in various forms such as mechanical, electrical, and thermal. Mason shows that it is possible to use the elastic enthalpy function to define the relationship between independent variables such as T (stress), D (electric displacement), and  $\sigma$  (entropy):

$$dH = -S_i dT_i + \frac{E_m dD_m}{4\pi} + \theta d\sigma \qquad (2.33)$$

where  $\theta$  is the temperature, and derive the constitutive equation for a piezoelectric crystal in terms of the dependent variables S and E ( $\theta$  is not shown because isothermal adiabatic conditions are assumed in Mason's derivation):

$$T_{i} = c_{ij}^{E} S_{i} - e_{mj} E_{m} \qquad n, m = 1 \text{ to } 3$$

$$D_{n} = 4\pi e_{ni} S_{i} + \epsilon_{mn}^{S} E_{m} \qquad i, j = 1 \text{ to } 6$$

$$(2.34)$$

Equation (2.34) can be solved subject to Newton's second law  $\left(\frac{\partial T_{kl}}{\partial x_k} = e \frac{\partial^2 \xi_k}{\partial t^2}\right)$  where e is the density) and one of Maxwell's equations  $\left(\frac{\partial D_l}{\partial x_l} = 0\right)$  along with suitable boundary conditions to obtain a complete solution for the behavior of the piezoelectric crystal in a particular situation.

The approach just outlined is seldom attempted. Instead, it has been found easier to develop equivalent circuit models for the piezoelectric transducer and solve the resulting circuit equations to predict the behavior of the transducer. Vahaviolos [Ref 71] used the equivalent circuit of Figure 2.24 to derive an expression for the voltage output of an air-backed piezoelectric crystal operating at its resonant frequency. In Figure 2.24, C<sub>0</sub> represents the static capacitance of the transducer, which is equal to the product of the electroded area, A, the dielectric constant of the crystal, and the permittivity of free space, divided by the thickness of the crystal, '. (For a 1 cm diameter crystal of PZT-5 three mm thick C<sub>0</sub> is 400 pf).  $\Delta$ C is a variable capacitor used to control the gain of the FET amplifier in conjuction with C<sub>F</sub>, and R<sub>L</sub> is the output resistance of the circuit. The output voltage of the circuit in Figure 2.24 is given by:

$$V_{A} = \frac{d_{33} A v_{t}}{{}^{l}C_{F}} \int_{0}^{T} (\sigma_{1}(t) - \sigma_{2}(t)) dt$$
(2.35)

where  $\sigma_1$  is the stress induced by the media in the crystal,  $\sigma_2$  is the stress induced by the air backing on the crystal,  $v_1$  is the velocity of the wave in the crystal, and T is the duration of the acoustic pulse.

The assumptions of air backing and resonant operation were used by Vahaviolos because he was interested in obtaining maximum sensitivity. The shape of the waveform was not important to him as his work was concerned with estimating the energy content of an acoustic emission waveform, which he proved could be done using a narrow band transducer. Identification of the mechanisms which cause an acoustic emission,

however, requires a broad bandwidth since information content is proportional to bandwidth. Further, flatness of response over the operating bandwidth is desirable, which cannot be obtained using an air backed transducer. This fact may be appreciated from Figure 2.25, which compares the response of an air backed transducer and a terminated transducer to identical inputs. It is obvious from the oscillations that the air backed transducer must have a peak in its frequency response. The penalty for wide bandwidth is also clear in Figure 2.25, in that the terminated transducer's response is about 3 dB less than the air backed transducer. Kino [Ref 67] has investigated the more general problem of a terminated transducer using the equivalent circuit shown in Figure 2.26. For a transducer backed with a substance that perfectly matches the acoustic impedance of the transducer, the output voltage is given by:

$$V_{3} = \frac{h}{j\omega} \left(1 - \exp\left\{-\frac{\omega}{E}\right)^{\frac{1}{2}} l\right) \frac{2Z_{1}}{Z_{1} + Z_{0}} v_{1} \qquad (2.36)$$

where  $\omega$  is the angular frequency, h is the piezoelectric open circuit strain constant,  $z_1$  is the acoustic impedance of the solid in which the acoustic emission propagates, and  $v_1$  is the particle velocity of the acoustic emission waveform. At resonance the output is:

$$V_{3} = \frac{2h}{\pi} \left(\frac{\varrho}{E}\right)^{\frac{1}{2}} \frac{2Z_{1}}{Z_{1} + Z_{0}} v_{1}$$
(2.37)

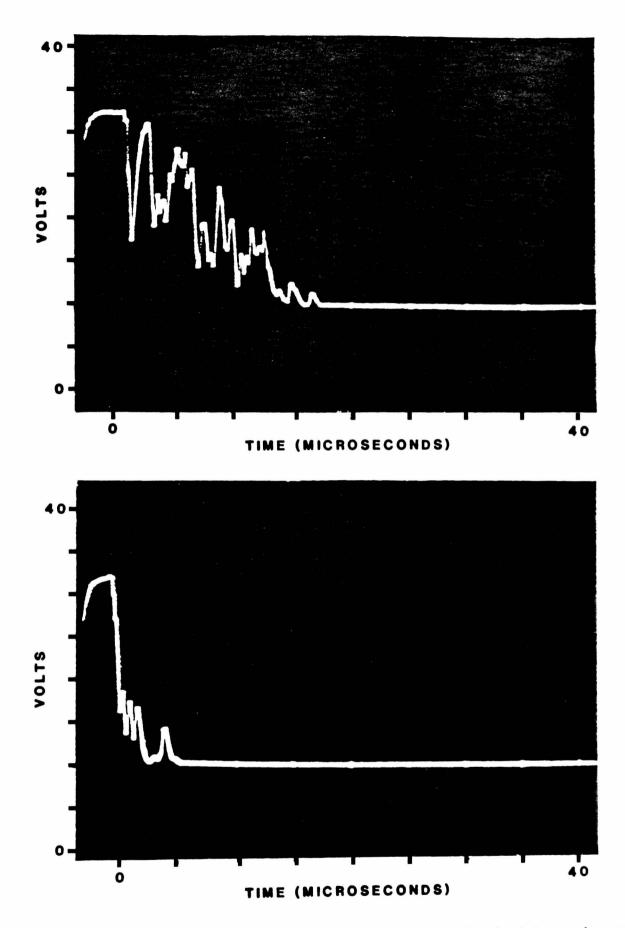
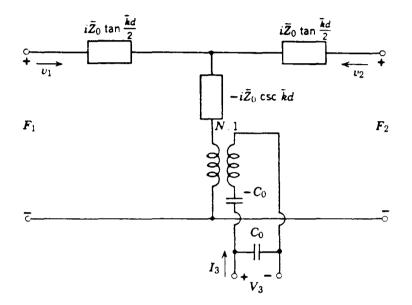


Figure 2.25. Time domain response of an air-backed transducer (top) compared with that of an acoustically terminated transducer (bottom) [Ref 72].



$$Z_0 = A(\rho \bar{c}_{44})^{1/2}, \ k = \omega(\rho/\bar{c}_{44})^{1/2}, \ C_0 = \frac{\epsilon_{xx}^S A}{d}, \ N = C_0 h_{x5}$$

Figure 2.26. Equivalent circuit for a thin disc piezoelectric transducer used to derive Equation 2.36 [Ref 67].

and as the frequency goes to zero the output approaches:

$$V_3 \rightarrow j h_l \left(\frac{\varrho}{E}\right)^{\frac{1}{2}} \frac{2 Z_1}{Z_1 + Z_0} V_1$$
 (2.38)

For a transducer backed with air the output as given by Kino is:

$$V_{3} = \frac{-h}{j \omega} \frac{2 Z_{1} v_{1}}{(Z_{1} + j Z_{0} \tan \omega l \left(\frac{\varrho}{E}\right)^{1/2}) \cos \omega l \left(\frac{\varrho}{E}\right)^{1/2}}$$
(2.39)

At resonance the air backed transducer produces a voltage:

$$V_{3} = \frac{4 h l}{j\pi} \left(\frac{\varrho}{E}\right)^{\frac{1}{2}} v_{1} \qquad (2.40)$$

and as the frequency goes to zero the output approaches:

$$V_3 \rightarrow \frac{jh l^2 \varrho}{E} \omega v_1 \qquad (2.41)$$

It can be seen from (2.41) that the response of an air backed transducer falls off at low frequencies. This occurs because the back is free to move with the front surface, so at low frequencies there is no net applied strain. Thus, an air backed transducer is an inferior choice when broad band response is desired. It should also be noted that equations 2.36 through 2.41 show that the output of a piezoelectric transducer is proportional to the particle velocity of the acoustic wave rather that the particle displacement. Since particle velocity is equal to  $j\omega u$  where u is the particle displacement, it follows that a

piezoelectric transducer's response to displacement will vary linearly with frequency.

Another type of transducer used for acoustic emission work is the capacitive transducer. In its simplest form, it is a polished disc of area A suspended over the specimen at a distance 1. The capacitance of such a transducer is:

$$C = \frac{Q}{V} = \frac{A \epsilon_0}{l}$$
 (2.42)

where Q is the charge, V is the operating voltage and  $\epsilon_{\circ}$  is the permittivity of free space. Differentiating (2.42) with respect to distance yields the charge sensitivity:

$$dQ = \frac{-A \epsilon_{o} V}{l^{2}} dl \qquad (2.43)$$

and it is easy to derive the voltage change for a given displacement as:

$$dV = \frac{dQ}{C} = \frac{-Vdi}{i} = -Edi \qquad (2.44)$$

where E is the electric field in the transducer. Using a potential of 50 volts and a separation of 2 microns, a 10  $\mu$ V output would be produced for a 0.4 picometer displacement. This is two orders of magnitude less sensitive than a piezoelectric transducer. However, the capacitive transducer has the advantage that its output is directly proportional to displacement, and is independent of frequency. A further advantage of the capacitive transducer is that it is non-contacting and thus does not

acoustically load the specimen. All of these qualities make the capacitive transducer ideally suited for calibration work.

#### CHAPTER 3

## CALIBRATION TECHNIQUES

This chapter discusses the two most common techniques used to calibrate acoustic emission transducers. Three different system calibration methods which eliminate response variations due to sample geometry are also presented.

## 3.1 Transducer Calibration

Although acoustic emission experiments can be performed using uncalibrated transducers, it is wise to attempt to obtain a calibration because of the benefits to be obtained by doing so. These include the potential ability to quantitatively compare results with either theoretical predictions or the work of other experimenters, the ability to match an appropriate sensor for a task based on experimental conditions and desired response characteristics and the ability to replace an accidentally damaged transducer in the middle of a test series while maintaining overall data integrity. Useful as it may be, though, calibration is not an easy undertaking, and a complete absolute calibration is an ideal. Any practical calibration procedure utilizes certain assumptions, the nature of which affect not only the results

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themselves but also limit the conditions under which the calibration can be used.

Sachse and Hsu [Ref 73] have described some of the assumptions commonly made to obtain a practical calibration of a sensor placed on a solid. The first assumption is that the pressure of the sensor does not significantly affect the distributed mechanical field vector quantities (which are traction, or force per unit area, and particle velocity) in the solid near the transducer. The second assumption is that the transducer detects stress waves of a single mode, i.e., only longitudinal or shear waves, which is equivalent to writing the mechanical field vectors as scalars. The third assumption is that the transducer, which means that the traction and velocity fields depend only upon time. The fourth assumption is that the transduction process itself is linear. The fifth assumption is that the calibration medium and the excitation are fixed, i.e., the mechanical loading is constant.

All of the above assumptions taken together result in the transduction relation becoming a transfer function equation which is given by a real convolution integral in the time domain or by a complex multiplication in the frequency domain:

$$V(\omega) = T(\omega) U(\omega)$$
 (3.1)

where V is the output voltage, U is the displacement, and T is the transfer function. Equation (3.1) is valid for all frequencies, but recording devices work over a fixed time interval. Thus, practical

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calibration procedures will result in a bandwidth limited transfer function, which is usually represented as an amplitude spectrum and a phase spectrum over the frequencies of interest. It should be noted that because of the assumptions outlined above questions such as the effect of different media on the transducer response, or the effect of a velocity input on the response as opposed to a displacement input, or the detection capability of a transducer to surface waves as opposed to longitudinal waves are unanswerable using the transfer function from one calibration procedure. The transfer function, then, represents only a partial calibration for a transducer.

With the limitations of calibration clearly defined the two general methods of calibration, namely reciprocity and comparison, can be described. Reciprocity is a technique which requires that a transducer be reciprocal, i.e., that it be linear and capable of transmitting and receiving and that the ratio of its receiving sensitivity to its transmitting response be constant. This constant is termed the reciprocity parameter. It depends on the acoustic media, the frequency, and the boundary conditions, but is independent of transducer design. As pointed out by Bobber [Ref 74], not all transducers are reciprocal, and no absolute method exists for determining if a transducer is reciprocal. The best that can be done is to infer reciprocity from additional measurements, or by comparing a reciprocity calibration with a comparison calibration. If the results agree, it is evidence that all of the assumptions made doing both calibrations were correct and that the transducer is reciprocal. However, evidence is not proof, and it is possible both methods were wrong and that the errors were coincidentally

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equal.

The reciprocity method of calibration can be demonstrated using a procedure outlined by Bobber for hydrophones. Figure 3.1 shows the three necessary arrangements and measurements, along with a fourth used for checking the reciprocity of the reversible transducer, T, which is used as both a projector of sound and as a receiver. Sensor P in Figure 3.1 is only used as a projector of sound for the reciprocity calibration, and H is the receiving transducer under calibration. The distance  $d_1$  between the projector and the hydrophone in Figure 3.1 is such that only direct spherical waves impinge on the hydrophone (free-field far-field conditions). Derivation of the free-field voltage sensitivity of the hydrophone,  $M_H$ , proceeds by driving the projector with a current  $i_P$ . During the first measurement, the output voltage  $e_{PH}$  of the hydrophone is given by:

$$e_{PH} = M_{H}P_{P} = \frac{M_{H}P_{P}S_{p}d_{o}}{d_{1}}$$
 (3.2)

where  $P_p$  is the free-field pressure of the projector,  $S_p$  is the transmitting current response of the projector, and  $d_o$  is the reference distance specified for  $S_p$ . During the second measurement the output voltage  $e_{pT}$  of the reciprocal transducer is given by:

$$e_{PT} = M_T P_P = \frac{M_T i_P S_P d_o}{d_1}$$
 (3.3)

where  $M_T$  is the free-field voltage sensitivity of the reciprocal transducer. From the definition of reciprocity ( $M_T/s_T = J$ ) and the

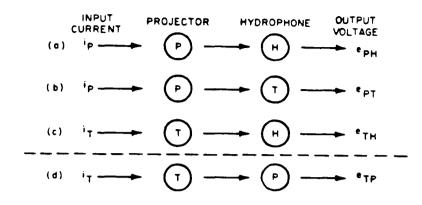


Figure 3.1. Physical arrangement and measurements needed for a reciprocity calibration, (d) can be omitted since it is only used as a check of the reversibility of transducer T [Ref 74].

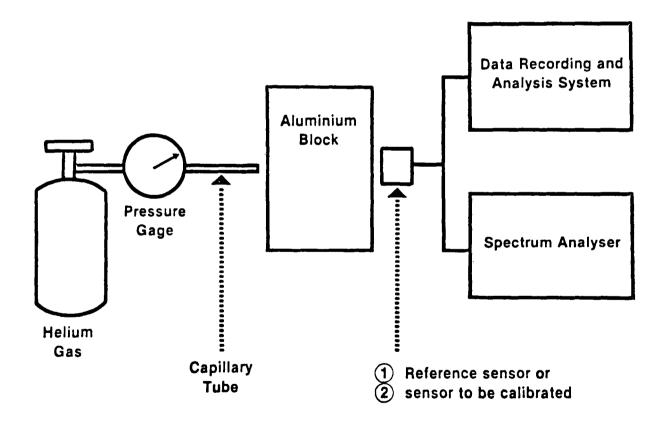


Figure 3.2. Physical arrangement used for comparison calibration using the helium gas jet [Ref 77].

relations shown in (3.2) and (3.3), the following can be derived:

$$M_{\rm H} = \frac{J S_{\rm T} e_{\rm PH}}{e_{\rm PT}}$$
(3.4)

In the third measurement, the reciprocal transducer is driven with a current  $i_T$  to produce an output voltage  $e_{TH}$  from the hydrophone according to the relationship:

$$e_{TH} = M_{H}P_{T} = \frac{M_{H}i_{T}S_{T}d_{o}}{d_{1}}$$
 (3.5)

where  $S_T$  is the transmitting current response of the reciprocal transducer. Solving (3.5) for  $M_H$  and multiplying this result by (3.4) yields:

$$M_{H} = \left(\frac{e_{TH} e_{PH}}{e_{PT} i_{T}} \frac{d_{1}}{d_{0}} J\right)^{\frac{1}{2}}$$
(3.6)

For the free-field far-field condition assumed, J is given by:

$$J = \frac{2d_o}{\varrho f}$$
(3.7)

where  $\varrho$  is the density of the media and f is the frequency. Thus the free-field far-field voltage sensitivity of the hydrophone is given by:

$$M_{H} = \left(\frac{2d_{1}}{\varrho f} - \frac{e_{TH} e_{PH}}{e_{PT} i_{T}}\right)^{\frac{1}{2}}$$
(3.8)

which is the reciprocity calibration. As a check for reciprocity the

fourth measurement in Figure 3.1 can be made, it can then be shown that:

$$M_{\rm H} = \left(\frac{2d_1}{\varrho f} - \frac{e_{\rm TH} e_{\rm PH}}{e_{\rm TP} i_{\rm P}}\right)^{\frac{1}{2}}$$
(3.9)

Equation (3.9) provides additional confidence in the value for  $M_{\rm H}$ . It can be seen that only electrical quantities need to be measured during a reciprocity calibration, which are easier to conduct than mechanical measurements.

The derivation of reciprocity calibration just given is for a transducer sensitive to longitudinal waves operating in free-field far-field conditions. Leschek [Ref 75] used equation (3.8) to calibrate a primary sensor which was then used as a reference standard for obtaining calibrations of general acoustic emission sensors when they were mounted on a steel block in which a random frequency ultrasonic generator produced a diffuse acoustic field. He recognized the limitations of his approach and suggested that research be done to derive a diffuse field reciprocity parameter which would be valid for compressional and shear waves in a bounded media. About a year later, Hatano and Mori [Ref 76] developed a reciprocity calibration procedure using Rayleigh wave excitation in a steel block. To do so, they first defined the free-field voltage sensitivity as the ratio of the open circuit receiving voltage to the vertical component of the Rayleigh wave particle velocity at the receiver. They then derived the reciprocity parameter H as the product of a constant (computable from the elastic constants and the density of the media) and the frequency to the three-halves power divided by the square root of the separation

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distance. Finally, they assumed that all three of the transducers to be used were reciprocal and obtained the free-field voltage sensitivity for the sensor of interest:

$$M_{l} = \left(\frac{1}{H} - \frac{Z_{f}(1) Z_{f}(3)}{Z_{f}(2)} - \frac{1}{E_{T}} - \frac{E_{1} E_{3}}{E_{2}}\right)^{\frac{1}{2}}$$
(3.10)

where  $Z_f(n)$  is the free impedance of transducer n,  $E_T$  is the constant transmission voltage, and  $E_n$  is the received output voltage of transducer n.

As was pointed out before, the reciprocity technique depends on the fact that at least one transducer must be reciprocal, a condition which cannot be absolutely proven but only inferred. To avoid this difficulty, calibration by comparison with a standard transducer is preferred. One of the earliest experiments in which this was done was reported by Mcbride and Hutchison [Ref 77], Figure 3.2 shows the test arrangement they employed. The calibration itself is performed by first recording the frequency spectrum of the helium gas jet as detected by a 5 MHz quartz crystal over the range of 0.2 to 1.0 MHz. Next the quartz crystal is replaced by the transducer to be calibrated and a similar spectrum is obtained. The calibration of the transducer is then defined as the ratio between the transducer output and the quartz crystal at each frequency. Although the technique is quite easy to perform, it has several drawbacks. First, it is impossible to obtain the phase response of the transducer being calibrated since there is no way to obtain a reference signal from the gas jet. Second, it is not clear what the excitation mode is at the sensor and therefore it is impossible to

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predict the calibrated transducer's response to a specific mechanical input. Finally, the calibration is relative to a quartz crystal whose absolute response is unknown, although evidence is presented to show that it is frequency independent.

Another technique for calibration by comparison has been described by Hsu and Breckenridge [Ref 78]; they have termed it the step-force calibration. The unique feature of their method is the fact that the conditions of the calibration procedure have been chosen so that theoretical results can be used to validate the results of the calibration. The theory is due to Pekeris [Ref 79], and predicts the value of vertical displacement on the surface of a semi-infinite isotropic solid at a distance from a step-force function which has been applied to the same surface of the solid in a direction normal to the solid surface. The theory assumes no loading of the block where the displacement is to be measured, which can be accomplished by using a capacitive transducer of the type described in Section 2.4. A contacting transducer will load the specimen and any calibration of it will include this loading effect as part of the calibration.

The step-force calibration is performed using the arrangement shown in Figure 3.3. A glass capillary of 0.2 mm diameter, B, is placed on the test block, A, and is broken by tightening screw C. The step-force released (with a rise time of approximately 0.1  $\mu$ S) is measured by load cell D, and displayed on the storage oscilloscope F after passing through the charge amplifier E. The surface displacement caused by the step-force is measured at symmetrical points by two transducers, with

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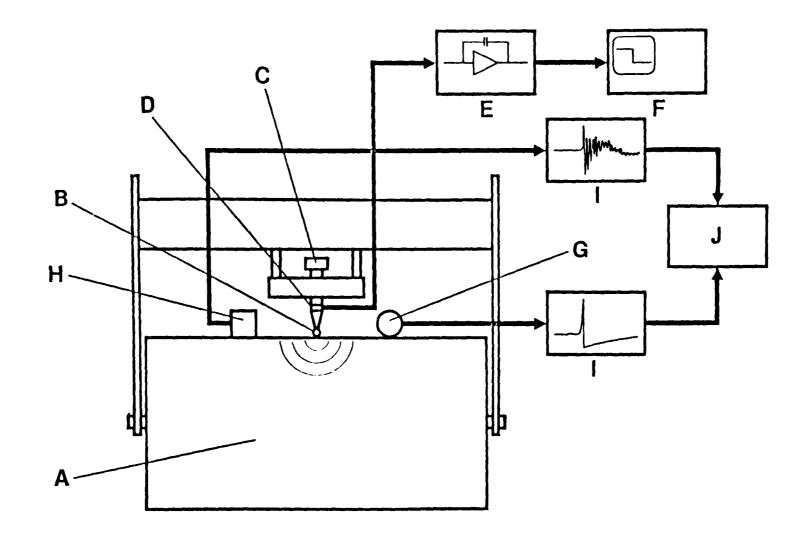


Figure 3.3. Physical arrangement used for comparison calibration using the step-force method [Ref 78].

the true displacement detected by capacitive sensor G and the transducer-loaded displacement detected by the sensor under calibration, H. The transducer voltage outputs are digitized by recorders, I, and stored in the computer, J.

Using the equipment in Figure 3.3, remarkably good agreement can be obtained between the theory of Pekeris and the output of the capacitive transducer, as can be seen in Figure 3.4. The two areas of disagreement, namely the finite displacement and fall time of the drop associated with the arrival of the Rayleigh wave in the experiment, as well as the jog near the end of the experimental trace, are due to experimental constraints. Specifically, the finite area of the capacitive transducer creates most of the disagreement prior to the Rayleigh wave arrival and the finite dimensions of the block itself lead to reflections, the first of which causes the jog near the end of the oscillogram.

Since the agreement between theory and experiment is so good, the response of the capacitive transducer can be used as a standard traceable to basic physical quantities. Figure 3.5 shows the amplitude spectrum and the phase spectrum of the capacitive transducer caused by the step-force function. When similar spectra obtained from the transducer under calibration are divided by the information in Figure 3.5 on a frequency by frequency basis, the amplitude and phase response spectra of the transducer relative to the capacitive sensor are obtained. These latter spectra are the transfer function  $T(\omega)$  in equation (3.1). Amplitude and phase spectra relative to the standard

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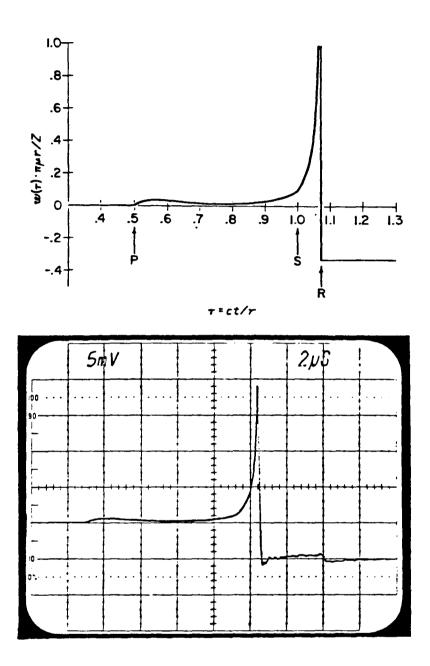


Figure 3.4. Comparison between theoretical vertical displacement (top) and experimental vertical displacement (bottom) achieved in the step-force calibration method [Ref 78].

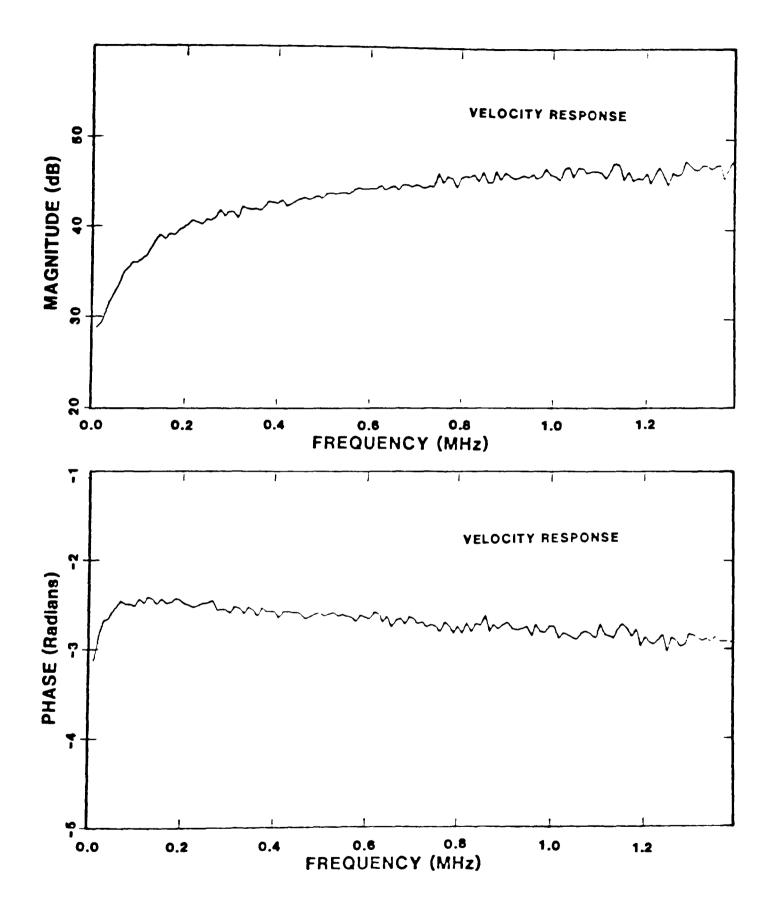


Figure 3.5. Amplitude spectrum (top) and phase spectrum (bottom) of NBS standard capacitive transducer to step-force function [Ref 80].

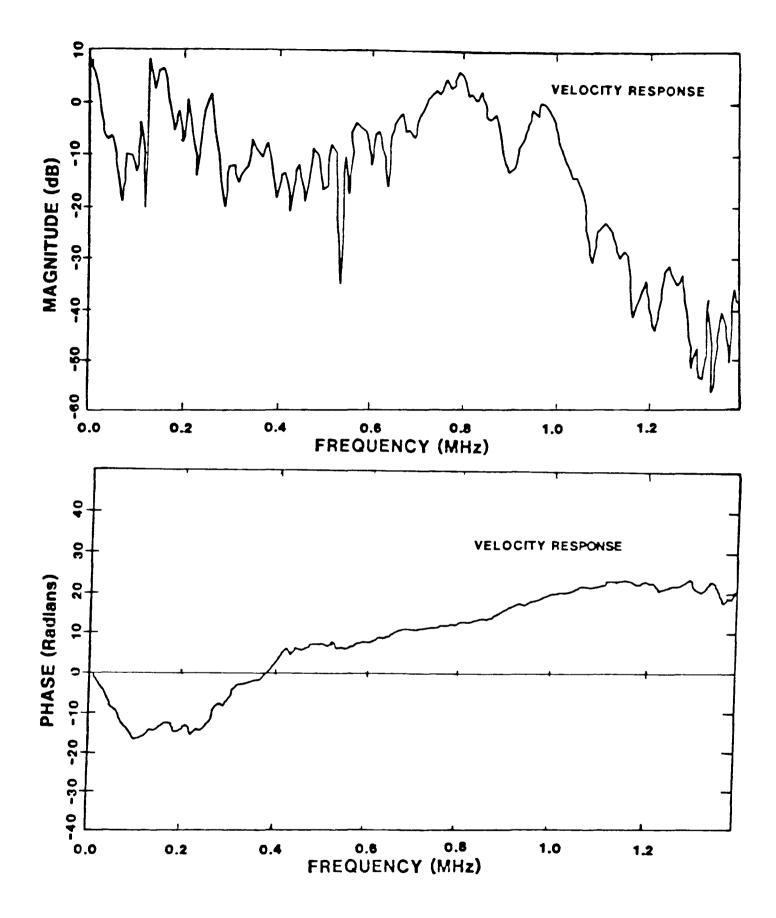


Figure 3.6. Amplitude spectrum (top) and phase spectrum (bottom) of a modified S9201 transducer to step-force function [Ref 80].

capacitive transducer for the type of transducer used in the experiments reported upon in Chapter 6 are shown in Figure 3.6.

The particular transducer for which the response is shown in Figure 3.6 is owned by the National Bureau of Standards, and is a Dunegan/Endevco model S9201, serial number AD52. According to Breckenridge [Ref 80] it has been modified by machining off the plastic surrounding the wear face, and the wear face itself has been optically ground and polished to be flat within a few light fringes. It was held down during the calibration on the NES block with a force of one kilogram using clock oil as a couplant, and a 100 pF cable (which is part of the calibration) connected the transducer to the electronics. Note that the spectra are velocity responses; they were obtained by multiplying the displacement spectra by  $j\omega$ . This operation is equivalent to differentiating the time displacement signal, as can be easily shown using equation 4.7. The zero dB level represents 44.2 dB above 1 VS/m.

It must be reiterated that the calibration curves of Figure 3.6 constitute a partial calibration because of the assumptions used in deriving them. For example, the transducer was assumed to respond to a single mode, it was assumed to be a linear device, it was assumed that the mechanical fields were uniform over the transducer face, and it was assumed that the transducer was to be used on a medium which mechanically loaded it like the calibration block. It is important to keep these points in mind when interpreting test results, otherwise gross misunderstandings can result.

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# 3.2 System Calibration

The use of a calibrated transducer by itself does not mean that the results of an acoustic emission experiment will be reproducible by other experimenters. All transducer calibration guarantees is that a known output will be produced when any transducer so calibrated is mounted in a specific location on a specific specimen in which a known force operates at a specific location. To obtain more flexibility it is necessary to devise procedures whereby a variation in specimen geometry, transducer location or source location can be corrected for in the output data set. The easiest way to accomplish this task is to adopt a similar approach to that outlined by Sachse and Hsu [Ref 73] in Section 3.1 for calibrating transducers and apply it to the whole system of specimen, couplant and transducer. The output of the system will then be given by:

$$Y(\omega) = H(\omega) X(\omega)$$
 (3.11)

where  $X(\omega)$  is the input to the system and  $H(\omega)$  is the transfer function of the system.

There are several implications to equation (3.11). First, if the transducer is calibrated and the input is known and reproducible, the system transfer function can be obtained. This approach must be performed with caution, however, since as was shown in Section 3.1 many assumptions are made in calibrating a transducer which will clearly bear on any experimentally derived transfer function. Perhaps significantly, there has been no research reported in the literature regarding this

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approach to date. Second, if a known and reproducible signal is used to obtain a spectrum at a specific location and that spectrum is divided into the spectrum caused by a real acoustic emission at the same location, the result will be the source spectrum of the real acoustic emission referred to the constant source spectrum of the standard signal. This approach to system calibration has received attention from several experimenters, and there are several candidates for a standard input.

The simplest technique for creating a standard input is the breaking of a modified mechanical pencil lead as patented by Hsu [Ref 81]. The modification consists of mounting the pencil on a stand as shown in Figure 3.7 to allow the generation of both vertical and horizontal components in the stress pulse. By restricting the selection of lead to a single manufacturing lot, Hsu has shown that the generated signal displacement is reproducible, as shown in Figure 3.8. Advantages claimed for the pencil acoustic emission simulator are realistic stress wave generation via a sudden release of a slowly built-up static stress field which can easily be oriented to create particular wave modes, simplicity, ruggedness, portability, convenience of use and inexpensiveness. Hsu further claims that the slight variation in signal displacement shown in Figure 3.8 can be compensated for by measuring the exact breaking load with a force gauge, thus allowing the possibility of absolute calibration. Two disadvantages which Hsu does not address are the monopolar nature of the stress pulse, and the fact that the displacement amplitude is some five orders of magnitude (100 dB) above the minimum detectable displacement of a PZT-5 transducer.

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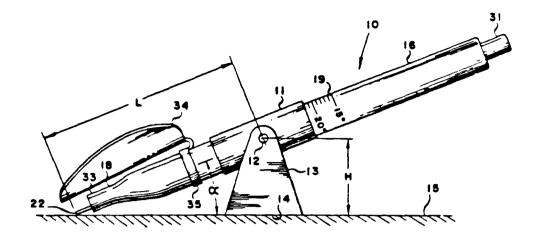


Figure 3.7. Modified mechanical pencil used for generating a standard acoustic emission source [Ref 81].

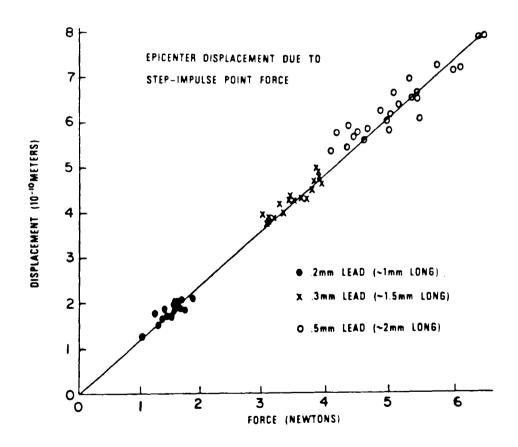


Figure 3.8. Force dependence of vertical epicentral displacement as a function of pencil lead diameter [Ref 57].

A second technique that is being used for generating a standard signal is transient localized heating caused by a pulsed laser beam. Scruby, Wadley, Dewhurst, Hutchins and Palmer [Ref 82] have reported on the use of a Q-switched Nd-YAG laser for such a purpose, their experimental arrangement is shown in Figure 3.9. In operation, a 24 nS duration optical pulse of 1.06 microns wavelength generated by the laser was applied to the surface of a test specimen through a 3 mm aperture, resulting in an energy of 41 mJ at the surface. Figure 3.10 shows the waveforms detected using a capacitance transducer at the epicenter of the optical pulse, it is clear that there is good agreement between theoretical prediction and experimental results and that the pulse to pulse variation is small. The stress wave generated by the action of the laser is explained as resulting from thermal gradients set up within 3 microns of the specimen surface during the laser pulse period. The resulting thermal transient causes expansion and thus stresses which are primarily parallel to the surface since the surface is unconstrained. Unlike the breaking pencil lead simulator just described, the laser generated stress wave can be considered to be the result of dipole forces, which are similar to the stresses around a crack or dislocation loop. In addition to realistic simulation of real acoustic emission sources, the laser pulse stress wave has the advantage that it is non-contacting and can be focussed on an area of interest that may be out of reach or in a hostile environment. Further, the energy imparted to the specimen can be readily reduced in a quantitative manner through the use of neutral density filters in the laser beam to be consistent with the energy released from a real acoustic emission source. Two

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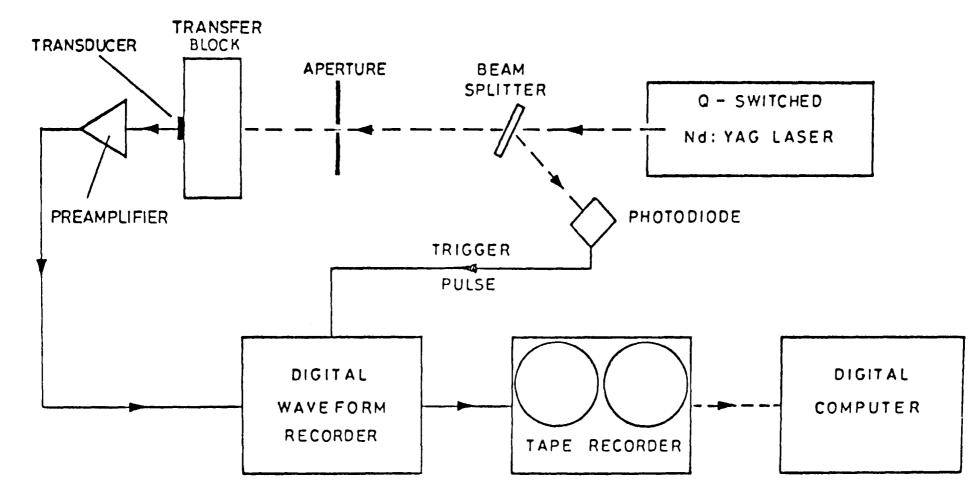


Figure 3.9. Schematic diagram of pulsed laser apparatus used for generating a standard acoustic emission source [Ref 82].

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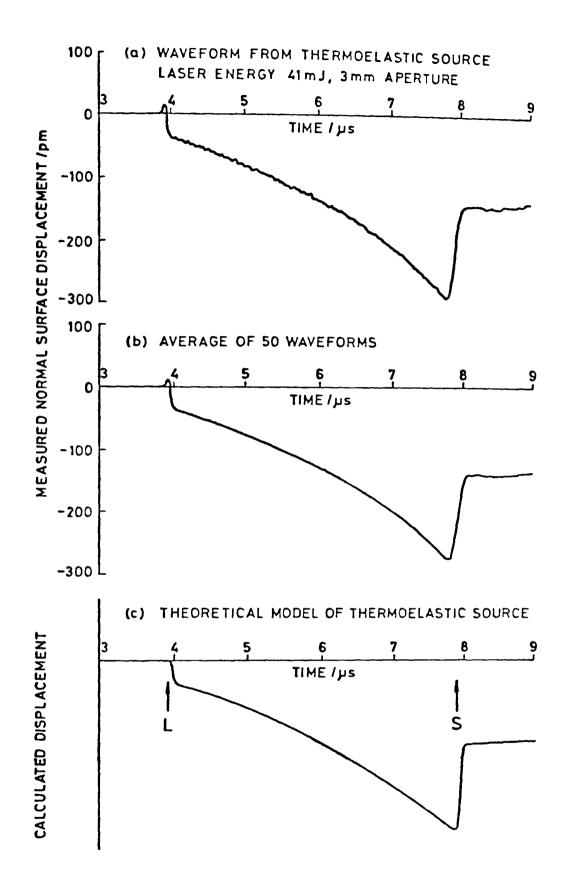


Figure 3.10. Comparison of theoretical and experimental vertical epicentral displacements produced with apparatus of Figure 3.9 [Ref 82].

disadvantages to the technique are the expense of the equipment necessary to generate and control the pulses and the safety precautions required to protect personnel from eye damage.

The third technique of system calibration uses the helium gas jet technique described by McBride and Hutchison [Ref 77] as a standard input. As described in Section 3.1, this technique consists of causing helium gas emerging from a capillary tube to impinge on the surface of a specimen to produce a continuous acoustic signal. Bentley and Green [Ref 83] found that it was necessary to restrict certain operating variables to specific values in order to obtain a reproducible output, Table 6.1 (on page 161) summarizes their conclusions. Green and Dingwall [Ref 84] later showed that it was possible to use the helium gas jet technique to correct for the effect of grossly dissimilar transducer characteristics on a received signal. Figure 3.11a shows the responses of a wide-band sensor and a narrow-band sensor to a repetitive 4  $\mu$ S pulse. The familiar sin x/x shape of a square pulse is evident in the wide-band response, but is not so noticeable in the narrow-band plot. When these responses are respectively divided by the spectrum recorded for the gas jet input to each transducer, Figure 3.11b results. The discrepancy at 780 kHz is explained as being due to a response difference between the transducers to the particular mode of excitation produced by the pulse at that frequency. To prove this contention, Green and Dingwall used two dissimilar wide-band transducers in a similar experiment and produced Figure 3.12, which does not contain such a discrepancy.

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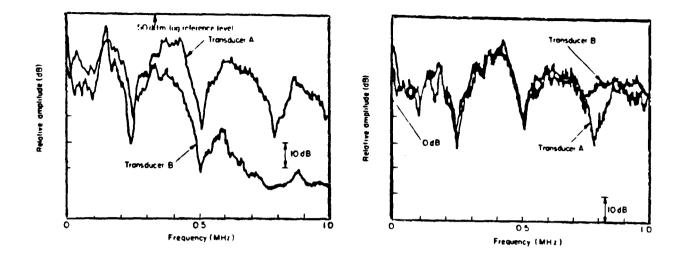


Figure 3.11. Response of a wide-band and a narrow-band transducer to a square pulse (left) and the normalized response obtainable using the helium gas jet (right) [Ref 84].

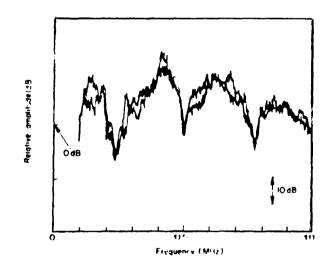


Figure 3.12. Normalized response of two dissimilar wide-band transducers sensing a square pulse obtainable using the helium gas jet [Ref 84].

The advantages of the helium gas jet technique are simplicity, portability, inexpensiveness and ease of use. Counteracting these attributes are the facts that it does not produce a transient pulse like a real acoustic emission, that phase information cannot be obtained and that the mode of excitation at the transducer cannot be predicted. Nevertheless, the helium gas jet technique is the only system calibration method which has been reported in the literature as allowing the quantitative comparison of acoustic emission spectra recorded by various experimenters (including the author) [Ref 85]. In this article, ten different laboratories in different countries recorded acoustic emissions from two dissimilar specimen geometries in which two different failure modes were operating using different transducers and recording systems. Raw acoustic emission data obtained in two laboratories is shown in Figure 3.13a, while Figure 3.13b shows the same data after normalization with the appropriate helium gas jet data. Figure 3.13b should be contrasted with Figure 3.14, which shows normalized data obtained by the author at a third laboratory under similar test conditions to those used in producing Figure 3.13b. The fact that Figure 3.13b and Figure 3.14 quantitatively agree to within 5 dB is evidence of the fact that the transducer, couplant, recording system and experimental technique differences can effectively be eliminated with the helium gas jet system calibration technique.

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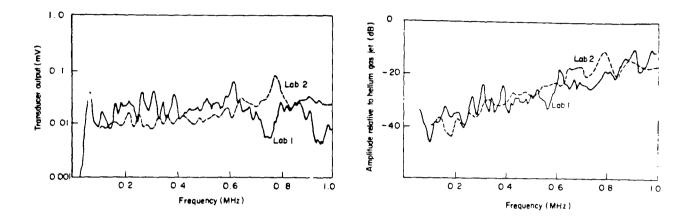


Figure 3.13. Quantitative comparison between acoustic emission obtained in two laboratories (left) after normalization with helium gas jet to remove system variables (right) [Ref 85].

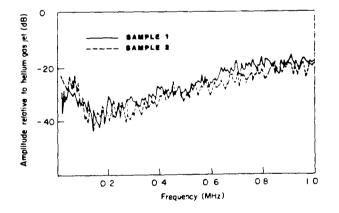


Figure 3.14. Normalized response obtained by the author under similar conditions to result shown in Figure 3.13. Note consistency between these graphs showing that system variables were removed [Ref 85].

#### CHAPTER 4

### SIGNAL PROCESSING CONCEPTS

This chapter describes common pitfalls caused by the improper application of digital signal processing techniques. Practical methods are presented for digitally calculating the Fourier transform.

## 4.1 Data Acquisition

Once an acoustic emission source has been detected by a calibrated sensor the experimenter must have ready a suitable instrument to both record the output of the transducer and to process the signal so as to extract the information of interest. Carlyle [Ref 3] has summarized some of the equipment used in the past for acoustic emission work, Figure 4.1 shows the kinds of information which have been obtained using such equipment. For the experimental work described in this thesis more intricate hardware was required. Therefore, a substantial effort was expended in constructing an advanced acoustic emission system, details of which are given in Section 5.1. It is sufficient for the present to describe the equipment by stating that the transducer output was amplified, converted to a digital signal through the use of an analog to digital converter, and recorded on digital magnetic tape. This tape was

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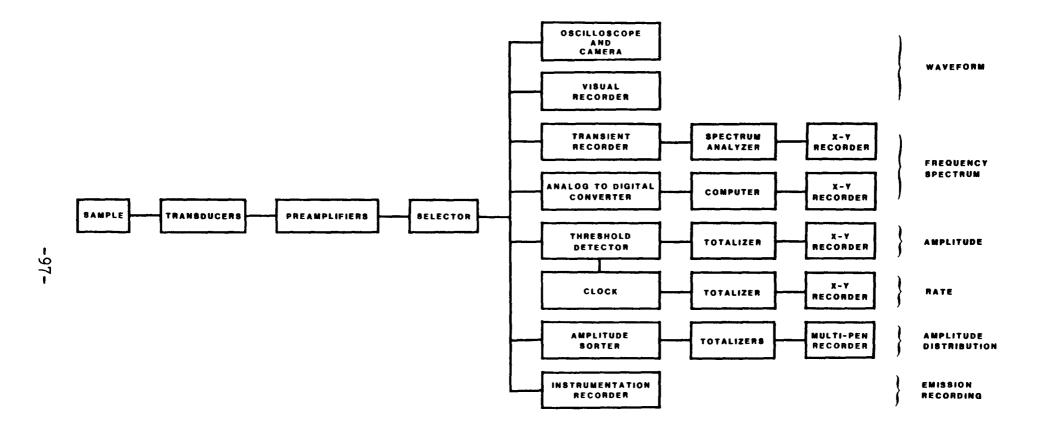


Figure 4.1. Various types of equipment utilized for acoustic emission experiments and the information obtainable from them [Ref 3].

then read by a digital computer and processed using a number of computer programs written by the author, which are described completely in Section 5.2. Of particular interest in this section is the analog to digital conversion process itself - the kinds of errors which it causes and anomalies which might be expected in the data.

A typical analog to digital converter is shown in Figure 4.2. The analog signal which is to be converted is input to the sample and hold. and upon the reception of a pulse from the external sampling control circuit a voltage measurement of the analog input signal is made. Simultaneously, the digital counter is reset to zero. The counter then commences to accumulate the pulses coming from the internal clock through the AND gate. The digital output of the counter is converted back into an analog signal by the D/A converter, whose output is compared to the voltage being held by the sample and hold. When the voltage produced by the D/A converter just exceeds the output voltage of the sample and hold, the AND gate blocks further clock pulses from incrementing the counter and signals that the conversion is complete. The external circuit then stores the digital representation of the sampled analog waveform and produces another sample control pulse, causing the cycle to repeat.

According to Otnes and Enochson [Ref 86], several types of errors may occur during the analog to digital conversion process just described. The first type, called aperture error, arises from the fact that the sample and hold works over a finite time interval termed an aperture. If it is possible for the analog signal to vary in the

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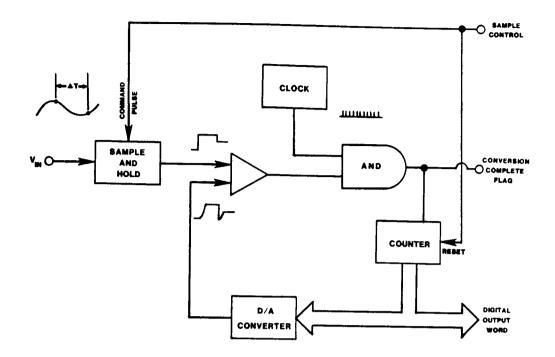
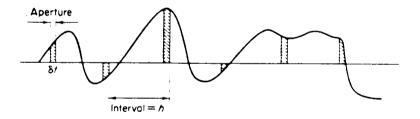


Figure 4.2. Schematic diagram of an analog to digital converter.



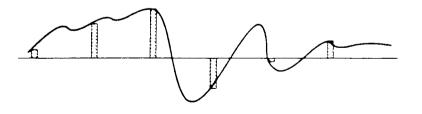


Figure 4.3. Aperture error arising from the signal changing during the sampling period [Ref 87].

aperture, then what is measured is not the magnitude of the signal at the start of the aperture (the ideal situation) but rather the average of the signal's magnitude during the aperture, as illustrated in Figure 4.3. Clearly, the way to reduce this error is to make the aperture small compared to the reciprocal of the highest frequency in the analog signal.

The second type of error in an analog to digital conversion, called jitter, is caused by random variations in the length of time between samples. The effect of jitter is twofold - it introduces spurious frequencies into the sampled data which will manifest themselves in spectral plots and it introduces errors in the phase information of high frequency signals which can cause problems with deconvolution. Jitter can be reduced by using a stable crystal controlled pulse generator to produce the sampling commands.

Another type of error associated with analog to digital conversion is non-linearity. This has several causes, most of which are traceable to the analog to digital converter being out of adjustment or to some portion of it being inoperative. An example of an adjustment non-linearity is non-uniform spacing of the quantization levels. In Figure 4.2, such an error would be traceable to the D/A converter, the comparator, or the sample and hold. An example of a non-linearity caused by circuit malfunction is bit dropout. This can occur when one of the digital output data lines "sticks" on an intermittent or regular basis; in Figure 4.2 such a malfunction could occur only in the counter.

The process of quantization has been shown by Beauchamp [Ref 87] to

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introduce noise into a signal. This arises from the fact that the signal is continuous, while the quantized representation has discrete steps of size q. The relationship between the input signal x(t) and the quantized output  $x_q(t)$  can be expressed as:

$$\mathbf{x}_{\mathbf{q}}^{(1)} = \mathbf{x}^{(1)} + \epsilon \tag{4.1}$$

where  $\epsilon$  is an error term whose magnitude lies between -q/2 and +q/2. Assuming for the moment that q = 1, the probability density function for the error, p(x), is uniform for the range -0.5  $\leq$  x  $\leq$  +0.5 and zero otherwise, and the mean value of the error is zero. Thus, the variance of the error is given by:

$$\sigma^{2} = \int_{-\infty}^{\infty} (x \cdot \overline{x})^{2} p(x) dx = \int_{-0.5}^{0.5} x^{2} dx = \frac{1}{12}$$
(4.2)

which yields the standard deviation for one unit of quantization as  $1/\sqrt{12} = 0.29$ . For a signal quantized using 8 bits (256 levels), the signal to noise ratio introduced by the process of quantization will be:

$$Q_{s/n} = \frac{2^{q}}{0.29} = \frac{256}{0.29} \sim 60 dB$$
 (4.3)

Several points need to be emphasized regarding quantization signal to noise ratios calculated using (4.3). The first point is that if care is not taken to amplify the analog signal properly so as to utilize all of the bits available in the analog to digital converter, the signal to noise ratio calculated using the maximum number of bits in (4.3) will be too high. The true value of the signal to noise ratio will be given by (4.3) only when q is equal to the exact number of levels used for digitizing the analog signal. The second point concerns the determination of the proper number of quantization levels needed for a particular application. In this decision the experimenter needs to be guided by the analog signal to noise ratio at the input to the quantizer. Use of a quantizer with a vastly better signal to noise ratio than the analog signal possesses will merely produce a better representation of the noise in the analog signal, while reducing the maximum sampling speed because of the increased time necessary to digitize with greater precision.

Sampling speed is a very important quantity in digital processing because of an effect known as aliasing, caused by sampling a signal at too slow a rate to resolve its highest frequency. Figure 4.4 shows a dramatic example, where improper sampling causes a high frequency sine wave to be represented (aliased) as a low frequency signal in the computer. It is clear from Figure 4.4 that the high frequency sine wave could be correctly reconstructed if it had been sampled at least twice per period. This observation has been formalized as the Nyquist criterion (or sampling theorem):

$$f_{N} = \frac{1}{2\Delta t} \qquad (4.4)$$

where  $f_N$  is the Nyquist or folding frequency, and  $\Delta t$  is the sampling interval.

A familiar example of aliasing is the reversal in rotation direction of a stage coach wheel in a cowboy film as the coach

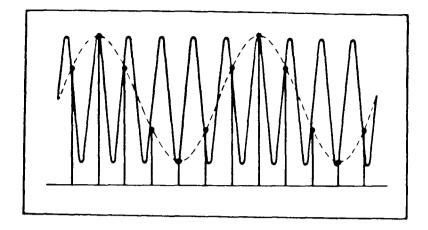


Figure 4.4. Aliasing of a high frequency signal by a low frequency signal caused by insufficient sampling rate [Ref 88].

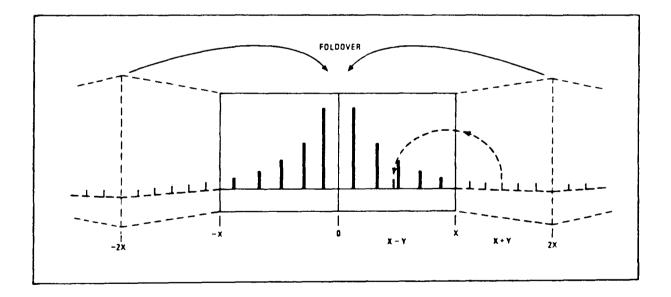


Figure 4.5. Alias signals fold over about the Nyquist frequency, i.e., a signal of frequency x+y will have an alias at frequency x-y [Ref 88].

accelerates through a certain speed. At this speed the wheel has reached an angular frequency which is an integral multiple of the Nyquist frequency defined by the reciprocal of twice the sampling interval of the camera. The rotation reversal occurs because as the angular frequency increases beyond the Nyquist frequency an alias appears at a frequency as far below the Nyquist frequency as the real frequency is above the Nyquist frequency, as shown in Figure 4.5. To illustrate this more completely, assume that the high frequency sine wave in Figure 4.4 has a 100 Hz frequency. The sampling rate in Figure 4.4 is 120 Hz, which corresponds to a Nyquist frequency of 60 Hz. Subtracting the Nyquist frequency from 100 Hz yields 40 Hz, and subtracting 40 Hz from the Nyquist frequency results in an alias frequency of 20 Hz, which is exactly the frequency of the dotted sine wave in Figure 4.4.

Aliasing can be prevented in one of two ways - either the sampling rate can be increased so that the Nyquist frequency is above the highest frequency in the signal, or the analog signal can be low pass filtered to remove all frequencies above the Nyquist frequency. If the first method is used, it must be remembered that high frequency noise components will be aliased within the Nyquist bandwidth, thus decreasing the signal to noise ratio. For this reason the second method is preferred. However, practical anti-aliasing filters do not abruptly attenuate signals to zero at their cut-off frequency, but rather have a finite attenuation per octave characteristic. In general, this trait of filters will require that the sampling rate be higher than necessary to insure that no aliasing occurs.

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The fact that a digital representation of a signal has a finite length can create some problems if a periodic signal is being digitized, as illustrated in Figure 4.6. In Figure 4.6a a cosine wave with a 4 second period is shown in both the time and frequency domains. Note particularly that the only lines which appear in the frequency domain are at 0.25 Hz, which is the frequency of the cosine wave. Suppose that the experimenter elects to record 10 seconds worth of data by multiplying the cosine wave by the rectangular window shown in Figure In the time domain this yields 2.5 cycles of the cosine wave, as 4.6b. shown in Figure 4.6c. The result of the data recording in the frequency domain is very complicated, but can be explained by saying that it results from convolving the frequency spectrum of the cosine wave in Figure 4.6a with the spectrum of the rectangular pulse in Figure 4.6b. Digitization consists of sampling the waveform of Figure 4.6c using the N impulses shown in Figure 4.6d, this results in the windowed and sampled cosine wave shown in Figure 4.6e. In the frequency domain, digitization consists of convolving the spectrum of Figure 4.6c with the spectrum of Figure 4.6d, which results in the spectrum depicted by the dashed line in Figure 4.6e. Because the digitization occurs during a finite period, however, the continuous dashed line of Figure 4.6e cannot be resolved. Instead, points in the frequency domain spread 1/NAt Hz apart result, as actually shown in Figure 4.6e. Note that no line appears at 0.25 Hz as it should, but that instead power has "leaked" into the closest available lines to 0.25 Hz.

The leakage effect just described results entirely from choosing to digitize a non-integral number of periods of the original cosine wave.

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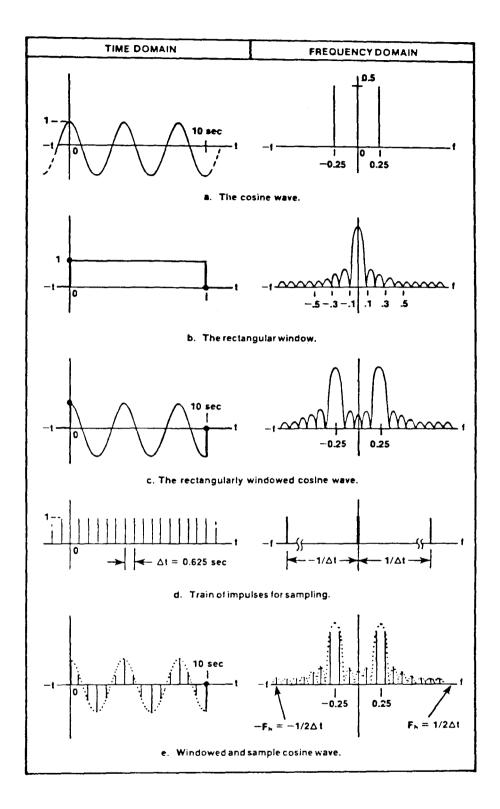


Figure 4.6. Origin of leakage caused by not sampling an integral number of cycles of a periodic waveform [Ref 88].

Although not shown explicitly in Figure 4.6, the digitization of a signal over a finite time period results in an implied periodicity. Reproduction of the time domain waveform in Figure 4.6e on both sides of the one shown would clearly result in a discontinuity at 0 and 10 seconds. The effect of this discontinuity in the frequency domain is to produce unwanted high frequency components. Elimination of these unwanted frequencies can be accomplished by digitizing an integral number of periods to eliminate the discontinuity. However, non-periodic waveforms can be affected by leakage, too. For example, acoustic emission waveforms are not periodic, but if the whole transient waveform is not digitized the implied periodicity caused by the digital recording will result in a similar discontinuity to that just described for the cosine wave. In this event it may be useful to try a technique called windowing.

The windowing technique seeks to eliminate discontinuities by forcing the beginning and the end of the data to have the same value. This is accomplished by replacing the rectangular recording window shown in Figure 4.6b with a more favorably shaped window such as the ones shown in Figure 4.7. As can be seen in Figure 4.7, the essence of the windowing technique is to reduce the sidelobes of the window in the frequency domain, thus directly affecting unwanted high frequencies of the sort shown in Figure 4.6e. The price that is paid for the sidelobe reduction, however, is that the main lobe is broadened. Thus, although frequencies far from the major true frequency will contain less power as a result of windowing, more frequencies adjacent to the true frequency component will contain power and the spectrum will be smeared. Clearly,

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Unity Amplitude Window	Shape Equation	Frequency Domain Magnitude	Major Lobe Height	Highest Side Lobe (dB)	Band- width (3 dB)	Theoretical Roll-Off (dB/Octave)
Rectangle $\int T = 1/\beta \longrightarrow$	A=1 for t≖0 to T		т	-13.2	<b>0.86</b> β	6
Extended Cosine Bell	A=0.5 (1-cos 2#5t/T) for t=0 to T/10 and t=9T/10 to T A=1 for t=T/10 to 9T/10		0.9 T	-13.5	0.95 <i>β</i>	18 (beyond 5β)
Half Cycle Sine	A=sin 2π0.5L/T for t=0 to T		0.64 T	22.4	1.15β	12
Triangle	A=2t/T for t=0 to T/2 A= -2t/T + 2 for t=T/2 to T		0.5 T	-26.7	<b>1.27</b> β	12
Cosine (Hanning)	A=0.5(1−cos 2 <i>π</i> t/T) for t=0 to T		0.5 T	31.6	1.39 <i>β</i>	18
Half Cycle Sine'	A=sin` 2π0.5t/T for t=0 to T		0.42 T	- 39.5	<b>1.61</b> β	24
Hamming	A=0.08 − 0.46 (1− cos 2πt/T) for t=0 to T		0.54 T	-41.9	<b>1.26</b> β	<b>6</b> (Beyond 5β)
Cosine	A=(0.5(1-cos 2πt/T)) <sup>2</sup> for t=0 to T		0.36 T	-46.9	1.79 <i>β</i>	30
Parzen	$ \begin{array}{l} A = 1 - 6(2t/T - 1)^{2} + 6\ 2t/T - 1 ^{3} \\ \text{for } t = T/4 \ \text{to } 3T/4 \\ A = 2(1 -  2t/T - 1 )^{3} \\ \text{for } t = 0 \ \text{to } T/4 \\ \text{and } t = 3T/4 \ \text{to } T \end{array} $		0.37 T	53.2	1.81 <i>β</i>	24

Figure 4.7. Window functions used to control leakage [Ref 88].

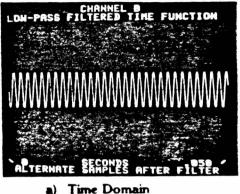
if at all possible it is best to avoid the need for windowing by digitizing the entire acoustic emission transient.

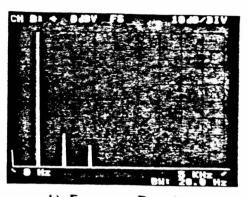
# 4.2 Spectral Analysis

The discussion of data acquisition in Section 4.1 touched on the concept of spectral analysis when aliasing and windowing were explained by hinting that the knowledge of the frequency content of a signal was important. This importance arises because the manner in which the frequency spectrum displays information will often reveal details of a signal that are too subtle to observe in the time domain, in spite of the fact that the frequency spectrum of a signal has no more information in it than the time domain signal. For example, Figure 4.8 shows what appears to be a sine wave in the time domain, but the frequency spectrum clearly reveals that the signal is composed of one large sine wave and several smaller sinusoidal components. This analytical power of spectral analysis makes it an attractive technique for characterizing acoustic emission signals because each source mechanism should have a characteristic frequency spectrum based upon its size and speed of operation.

Spectral analysis grew out of heat conduction studies performed by Jean-Baptiste Fourier in the early nineteenth century. Fourier was able to obtain a solution for his heat flow problem in the form of a trigonometric series which now bears his name. Of importance to this thesis is the fact that the Fourier series can be used to obtain the frequency components of a periodic waveform that meets three conditions.

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a) Time Domain Small signal not visible

b) Frequency Domain Small signal easily resolved

Figure 4.8. Analysis power of frequency spectrum for revealing the presence of small signals in the presence of large ones [Ref 89].

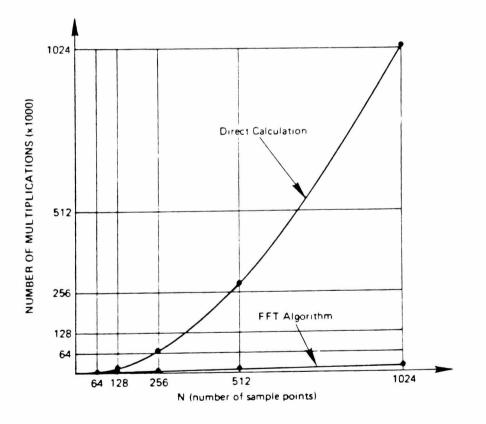


Figure 4.9. Comparison of multiplications needed for spectral calculation via direct method and fast Fourier transform [Ref 90].

First, the waveform must have a finite number of discontinuities in any period. Second, the waveform must have a finite number of maxima and minima in any period. Third, the integral of the function with respect to time over one period must be finite. If these conditions (known as the Dirichlet conditions) are met, then the Fourier series exists for the periodic waveform and is given by:

$$x(t) = \frac{a_0}{2} + \sum_{n=1}^{\infty} (a_n \cos 2\pi n f_0 t + b_n \sin 2\pi n f_0 t)$$
 (4.5)

where  $f_o$  is the reciprocal of the period, T, and:

$$a_{0} = \frac{2}{T} \int_{0}^{T} x(t) dt$$

$$a_{n} = \frac{2}{T} \int_{0}^{T} x(t) \cos 2\pi n f_{0} t dt \qquad n = 1,2,3... \qquad (4.6)$$

$$b_{n} = \frac{2}{T} \int_{0}^{T} x(t) \sin 2\pi n f_{0} t dt$$

The  $a_0$  coefficient is the average value of the waveform and thus is the DC term in the frequency domain. The  $a_n$  and  $b_n$  terms are the frequency coefficients, implying that the frequency spectrum of a periodic waveform consists of discrete lines in the frequency domain.

Often it is desirable to obtain the frequency spectrum of a transient waveform. This can be done using the Fourier integral, which can be derived from the Fourier series by assuming that the period of the transient waveform is infinite [Ref 88]. Once again the Dirichlet conditions must be satisfied in order for the Fourier integral to exist, but assuming that this is the case then the following is true:

$$x(t) = \int_{-\infty}^{\infty} X(f) e^{j2\pi ft} df \qquad (4.7)$$

where:

$$X(f) = \int_{-\infty}^{\infty} x(t) e^{-j2\pi ft} dt \qquad (4.8)$$

Equations (4.7) and (4.8) are known as the Fourier transform pair, with (4.7) generally called the inverse transform and (4.8) the direct or forward transform. Note that in contrast to the situation discussed above for periodic waveforms the frequency spectrum of a transient waveform is a continuous function.

The Fourier series and Fourier integral just explained are extremely useful mathematical tools and as such can be used to obtain the frequency spectra of periodic and transient time functions that are mathematically describable. From a practical standpoint, however, signals encountered in the laboratory are rarely analytic functions of time. Another problem is that no real waveform can be considered to be periodic from a mathematical standpoint over the time span of negative infinity to positive infinity, and thus strictly speaking the Fourier series is never usable on practical signals. To handle these problems, an approximation of the Fourier transform which uses a digitized approximation to the Fourier transform is known as the discrete Fourier

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transform, and is given by:

$$X(n) = \sum_{k=0}^{N-1} x(k) \exp\left(\frac{-j2\pi kn}{N}\right)$$
(4.9)

where N is the number of samples in the digitized waveform, n is the frequency domain index and k is the time domain index. The inverse discrete Fourier transform is:

$$x(k) = \frac{1}{N} \sum_{n=0}^{N-1} X(n) \exp\left(\frac{j2\pi kn}{N}\right)$$
(4.10)

where the scaling factor of 1/N should be noted. Together, Equations (4.9) and (4.10) form a Fourier transform pair for digitized waveforms.

Although Equation (4.9) represents a practical means of approximating the frequency spectrum of real signals, it requires a substantial amount of calculation to accomplish this goal. Specifically,  $N^2$  multiplications are required to obtain the frequency components of a time domain signal which has been digitized into N samples. Fortunately, there is a means whereby the number of multiplications can be dramatically reduced to a number given by N  $\log_2 N$ instead of  $N^2$ . This feat is accomplished by exploiting certain periodicities and symmetries in the discrete Fourier transform, resulting in algorithms which are known generically as fast Fourier transforms. The relative calculation advantage of fast Fourier transforms over the discrete Fourier transform may be appreciated in Figure 4.9, which shows that for a time waveform with 1024 samples the discrete Fourier transform will take approximately 200 times longer than the fast Fourier transform.

The details of how one fast Fourier transform algorithm accomplishes its calculation speed increase over direct computation are discussed in Appendix A. The algorithm is complicated, and perhaps because of this has been subject to modification by various authors. The modified algorithms have in turn been implemented in various forms by programmers to take advantage of the peculiarities of a particular computer architecture or programming language. Thus an experimenter wishing to perform digital spectral analysis will discover that he needs to choose a particular fast Fourier transform program from among a dozen or so possibilities.

The crucial step in making an informed choice of a particular fast Fourier transform program is to rank the relative importance of the final result precision, execution speed and memory requirements for the task at hand. This ranking will of course depend upon the computer on which the program is to run, and a program which may be an excellent choice for use on one machine may not provide optimal results in another. In the present case a 16 bit machine was to be used and fast Fourier transform programs were available which used integer numbers or floating point numbers for the input and output data. It was decided that a floating point routine was required since the integer routines limited the dynamic range of the data to 90 dB with the 16 bit word size. This choice meant that additional memory would be required since a floating point number requires twice the storage space of an integer number, but this was acceptable because sufficient memory space was

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available. However, this choice also meant that the execution time would be longer since floating point arithmetic takes more time than integer arithmetic. This, too, was deemed acceptable since real-time results were not required and longer program execution times could therefore be tolerated.

The considerations just described lead to the selection of a fast Fourier transform program named FOUR2, whose source code appears in Appendix B. The main advantage which FOUR2 provided was a dynamic range of about 640 dB, which meant that sharp anti-resonances in the frequency spectra would be preserved. This was important to the experimental program since it was known that deconvolution by means of power spectral division would be necessary during gas jet normalization, and any loss of anti-resonances would lead to sharp spikes in the final spectrum. Another advantage which FOUR2 possessed was that it used a radix 4 + 2 factoring scheme instead of the more common radix 2 factoring described in Appendix A. This meant that the input data set was factored by 4 with any remainder being factored by 2. This procedure made the calculation of the Fourier transform of the input data execute approximately 25% faster than normal. Actual use of FOUR2 in the programs written for this thesis (described in Section 5.2) revealed that it required 6358 words of program memory (including 4096 words used for the 2048 floating point data array) and executed a 2048 point transform in 1.19 seconds.

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#### CHAPTER 5

### INSTRUMENTATION CONSTRUCTION

This chapter discusses the design and operation of a unique acoustic emission system built for signal identification research. Computer programs developed to provide an acoustic emission source discrimination capability using data from this system are described.

#### 5.1 Hardware

Although acoustic emission has been recognized as a distinct nondestructive testing technique since the mid 1960's when the first commercial acoustic emission equipment became available, laboratory quality instrumentation is not readily obtainable. The experimenter must therefore assemble his own system to meet his particular requirements. In the present case the requirement to make broadband waveform recordings of acoustic emission signals for source identification purposes meant that a unique instrument would have to be built. This was done by making substantial modifications to a multiple channel source location system (manufactured by the Trodyne Corporation) which was known as the MSCD system.

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In its original state the MSCD system had twelve channels whose band-limited outputs were processed by a non-programmable logic circuit to obtain a planar or a linear source location as well as conventional acoustic emission parameters such as oscillation count and peak voltage. The modifications consisted of adding a programmable microprocessor, a twelve channel broadband switch, an analog to digital converter, a digital magnetic tape recorder, a converter-recorder interface and modems. This resulted in a system with separated data acquisition and data processing sections which could make broadband digital acoustic emission waveform recordings in environments hostile to computer operation while simultaneously performing source location. A block diagram of the system after modification is shown in Figure 5.1.

Numerous problems were encountered during the construction of the system. One of the most troublesome was an intermittent corruption of the waveform recorded by the analog to digital converter when the waveform was stored on magnetic tape at the command of the microprocessor. The solution to this problem came about when it was finally noticed that it was data dependent, thus providing a means of getting a regular failure. Subsequent trouble shooting of the data path from the analog to digital converter to the magnetic tape recorder revealed that an improper choice of biasing resistors in the interface data lines had created an impedance mismatch which caused oscillations when the data had a particular value. A simple change of resistors was sufficient to eliminate the problem. This is a particularly significant problem because it is one which can easily occur in any digital system assembled using equipment built by different manufacturers, and is most

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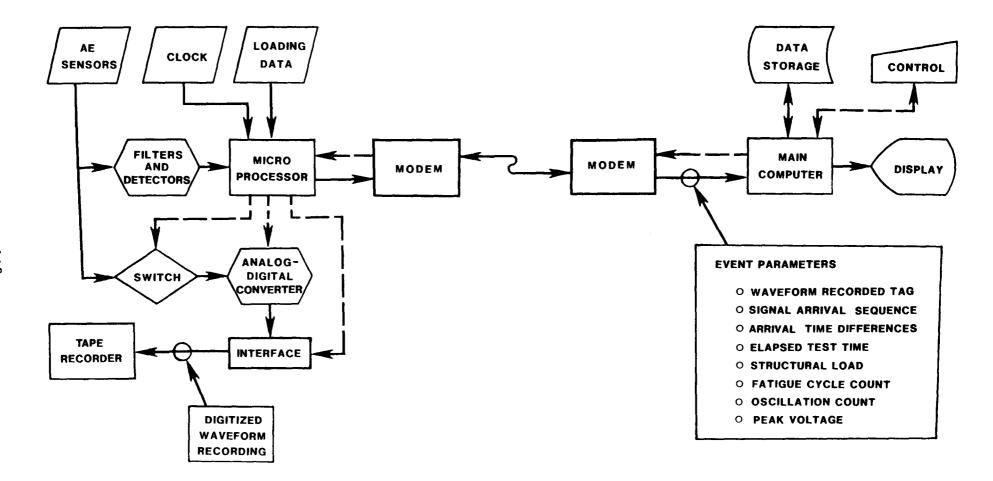


Figure 5.1. Block diagram of experimental broadband acoustic emission system assembled for thesis research program.

difficult to solve because of the intermittent occurence of the data corruption.

The capabilities of the modified system can best be understood by explaining the way it handles an individual acoustic emission signal propagating through a specimen. Although the acoustic emission signals must first enter the sensors, which could therefore form a legitimate part of the system, sensors will not be discussed as if they were part of the system design because they can readily be changed to meet different needs. Thus for the purposes of this discussion the first system component the signals must enter is the preamplifier.

The preamplifiers which are employed in the system are notable for their bandwidth, which extends from 10 kHz to 15 MHz at the 3 dB points. This is not common practice, as it is usually desirable to reduce thermal noise to a minimum. Thermal noise in RMS volts is given by Skolnik [Ref 91] as:

$$V_{N} = \sqrt{4RkTB}$$
 (5.1)

where R is resistance, T is temperature in degrees Kelvin, k is Boltzmann's constant, and B is the bandwidth over which the noise is measured. Thus the preamplifiers used in this acoustic emission system generate about 4 times more noise that the typically employed 1 MHz bandwidth acoustic emission preamplifiers. The increased noise was felt to be an acceptable penalty, however, since the increased bandwidth provided more information which signal processing routines could utilize for source characterization. One problem with the preamplifiers was

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their 10 kilohm input impedance which loaded the sensors and reduced the output. As described in Section 6.2 this loading was eliminated by building a FET impedance converter to effectively make the preamplifier impedance 1 megohm.

The preamplified acoustic emission signals are input simultaneously into two separate sections of the system, where different parameters are derived. In the main path, the signals from all channels are filtered between adjustable limits (typically 100 - 300 kHz) before an event detector produces a pulse for each event. In the other path, all of the signals in their unfiltered state are passed through a switch which when activated will allow only one channel to be input to the analog to digital converter. This switch, which was built as part of the modifications to the MSCD system, attenuates the 11 inactive channels by 60 dB when it is activated by the microprocessor. This occurs after the microprocessor determines that the signal being detected is the first arrival of a new acoustic emission event. The two path concept is used in an attempt to avoid problems in locating with dispersive waves. As described in Section 2.3, various modes of plate waves travel at different speeds as a function of frequency and plate thickness. Judicious selection of the filter bandwidth for a particular application allows the event pulse to be derived from a particular constant velocity component of the acoustic emission signal.

After the event pulses are generated from the narrowband data a programmable microprocessor controls the acquisition of the wideband data and the transmission of the entire data set to the data processing

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section. This microprocessor is another modification of the MSCD system and is crucial to the operation of the system because it controls the acoustic emission data collection. The microprocessor does this by means of a program named MSCD, whose source code appears in Appendix B. The writing and debugging of MSCD accounted for most of the time spent in modifying the original acoustic emission system, because MSCD had to be written in ASSEMBLY language and installed in an EPROM chip to be tested. Provisions were made to accomodate numerous error conditions and timing difficulties in MSCD. A complete diagram of the logic it incorporates is shown in flow chart form in Figure 5.2. Starting with the system in a quiescent state the first event pulse starts two arrival time clocks running, values corresponding to the channel number, the time of day, the load on the structure and the number of fatigue cycles are saved, and the wide band switch is activated to allow only the presently active channel to be recorded by the analog to digital converter. The arrival of the second event causes the first arrival time clock to be stopped and the channel number of the second event to be saved with similar action taking place when the third event is detected.

The MSCD program now must determine if the acoustic emission signal which has just been processed has propagated out of the monitored area (or has been attenuated sufficiently) so that the next detected event pulse will correspond to the first arrival signal of a new acoustic emission source. This is done by combining all of the event pulses onto one signal bus and measuring the time separation between the pulses. When this value is greater than the maximum time of propagation between

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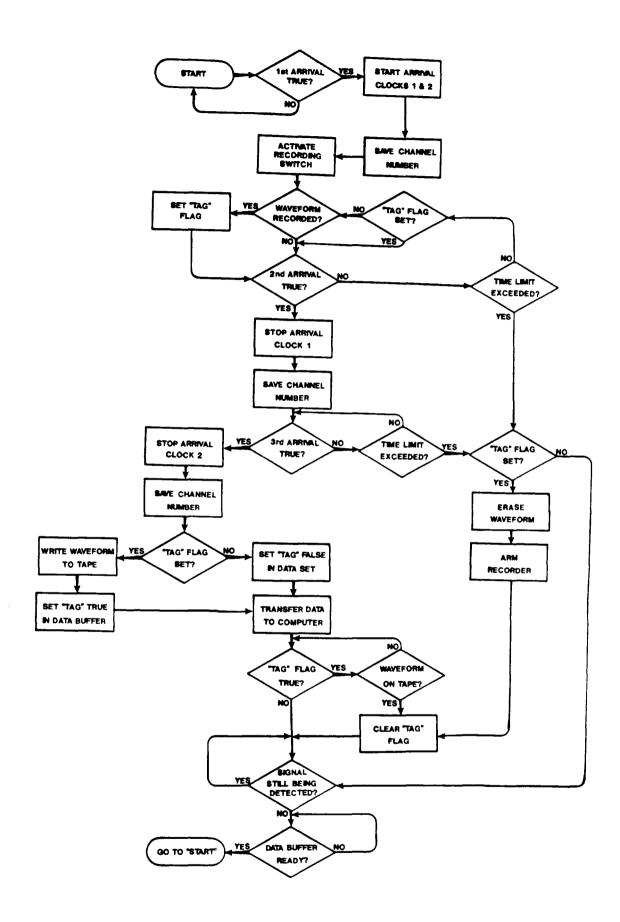


Figure 5.2. Flow chart of logic employed by microprocessor used in experimental acoustic emission system.

adjacent sensors on the structure, it is physically impossible for the old signal to be present (at least at an amplitude that matters) and so the system can get ready to reset and begin the cycle again. (It should be pointed out that this procedure can result in missed data if the acoustic emission bursts occur at different locations but happen to overlap one another in time. If this is the case, the experimenter must either move the sensors closer together or modify the loading on the structure to cause emission at a lower rate.)

Prior to the occurrence of the reset the data which has been collected is examined for errors. For example, if either arrival time clock has exceeded a preset value which corresponds to the maximum time of propagation over the entire monitored area, or if the arrival sequence of the events was such that the participating channels were not adjacent to one another (as determined by programming variables prior to the experiment), the data set is considered invalid. If this is the case the reset will occur immediately and new data will be recorded directly over the invalid data. Another error which could occur is if the analog to digital converter did not complete a recording after the arrival of the first event pulse but prior to the arrival of the second event pulse. If this occurred the waveform recording would be erased, but the rest of the data would be treated normally.

Assuming that no error conditions existed, the MSCD program would initiate a transfer of all of the data. Because of transmission line speed restrictions the waveform data is stored locally on 9 track digital magnetic tape while the rest of the data is transmitted via a

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modem link over telephone lines to the minicomputer data processing section. The transmitted data set contains such items as an indicator showing that a broadband waveform recording was made, the sensor arrival sequence of the acoustic emission signal, two arrival time differences, the elapsed test time, the structural load, the fatigue cycle count, the narrowband signal oscillation count, and the narrowband signal peak voltage. When the transmission has been initiated, the MSCD program checks to see if one of a pair of local data buffers is available to receive new data. If a buffer is available an immediate reset occurs and data collection can start, otherwise the program waits. This double buffering concept helps to smooth out the process of data acquisition since one buffer is usually available to receive data.

The crucial factors limiting the performance of the acoustic emission data collection system are the times required to transmit the data set from the microprocessor to the minicomputer and to transfer the waveform data from the analog to digital converter to the 9 track digital magnetic tape recorder. In the current implementation of the system these times are 0.2 S and 0.15 S, respectively. The reset concept employed in this system requires that the wave propagate a minimum of 1.5 times the sensor spacing before the next event can be recorded, which would require a time of 1 mS if the sensor spacing were 2 m and the propagation velocity were 3 km/S. Although it is clear that substantial room for improvement is available, it was not done with this version of the system since a virtual boost in performance can be realized by slowing the loading rate, and because the necessary electronics to transfer the data faster would have been prohibitively

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expensive.

After the data set reaches the data processing section many different options can be selected which will determine exactly what happens. Typically, the data will be coming from a test in which it is desired to anticipate failure and perhaps save the specimen. In this case, the data set will first be checked for a proper sensor arrival sequence and the arrival time differences will be checked to insure that they do not exceed the maximum permissible limits. Although this seems redundant, it is not, because the time resolution in the data collection section is rather coarse and the arrival sequence programming is not too sophisticated. Thus, the MSCD program could validate a data set which upon further inspection with finer time resolution and more intricate adjacent sensor definitions would not be legitimate.

Assuming that the data passes these first two checks, though, the arrival time differences and the sensor arrival sequence would be used by the minicomputer to calculate a source location. The locus of a constant difference between two points forms a pair of curves called hyperbolae, thus the two arrival time differences result in four curves. Each intersection point represents a possible source location, the correct one is chosen using the information in the sensor arrival sequence. This concept is illustrated in Figure 5.3. Although it is possible to have an intersection point lying outside of the area bounded by the sensors, the present acoustic emission system does not handle this situation. Instead, adjacent triangles must be built using additional sensors and at least one or two of the sensors pictured in

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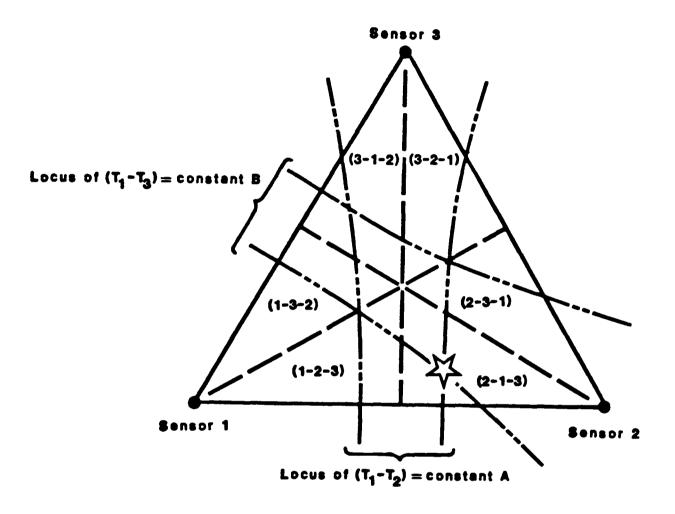


Figure 5.3. Schematic demonstrating how to locate an acoustic emission source. Arrival time differences yield four possible sites, the correct one is selected using the sensor arrival sequence data.

Figure 5.3. Any physical situation in which an intersection point could be constructed outside of the largest triangular area in Figure 5.3 would now result in the sensors of the adjacent triangle containing this intersection point detecting the signal first, and similar logic to that used in Figure 5.3 would be sufficient to resolve the true source location.

Two error conditions can result from the calculation of the source location. First, a mathematical error might occur due to truncation. To check for this condition the inferred source location is used to calculate arrival time differences. If these differences do not agree with the measured arrival time differences to within 10%, an error is declared. Secondly, a physical source might lie entirely outside any areas bounded by three adjacent sensors. As mentioned previously this situation is not legal under the present location logic and thus an error would be declared.

Once a data set is validated and a source location is calculated the data processing section records the entire data set along with its associated calculated values on a disc drive and then displays certain subsets of the data. It is possible to obtain any one of three tabulated displays of sequential data sets or any one of three graphical schematics of the specimen with source locations superimposed as the data is acquired.

One of the tabulated displays is shown in Figure 5.4. This version, termed the raw data display since it shows the values which are being received from the remote acoustic emission data acquisition

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INPUT DATA BUFFER	INPUT DATA BUFFER
000012 051000 000022 000006 000010 001001 001017 003142 000000 000004	000012 051100 000022 000011 000011 000003 003062 003062 003142 00000 00000
OUTPUT DATA BUFFER	OUTPUT DATA BUFFER
EVENT NUMBER=328DELTA T1=6USDELTA T2=8USFIRST SENSOR=1SECOND SENSOR=2THIRD SENSOR=3DISTANCE (X)=14.5DISTANCE (Y)=12.0OSCIL. COUNT=3735PAPAMETRIC UAL=0.2PEAK UOLTAGE=5.0ELAPSED TIME=408.0PAPA. CYCLE CNT=1ERROR CODE=0REJECTION COUNT=5	EVENT NUMBER329DELTA T19DELTA T29USFIRST SENSOR1SECOND SENSOR2THIRD SENSOR3DISTANCE (X)13.0DISTANCE (Y)13.5USCIL. COUNT1386PARAMETRIC UAL0.2PEAK UOLTAGE4.0ELAPSED TIME408.0PARA. CYCLE CNT1ERROR CODE0REJECTION COUNT5

.

Figure 5.4. Example of a raw data display obtained during a test. Typically used for operational check of equipment prior to a test.

section, is useful mainly in the initial setting up of experiments. It is convenient to use this display to check the physical limits of the monitored area (through the use of the error code), to equilize overall amplifier gains in each channel (through the use of oscillation counts and peak voltages in response to a calibrated input), to check for the proper calculation of the parametric value (coefficients for a second order equation are entered to obtain an engineering response from a voltage input that is generated by a load cell, pressure transducer, strain gauge, etc.), to insure that the cycle counter is advancing properly (with changes in load, pressure, strain, etc.), and to help diagnose transmission line problems.

The remaining two tabulated displays are used to obtain information on individual acoustic emissions while the test is in progress. An example of one of these displays is shown in Figure 5.5, the other is identical except that it shows the parametric cycle count instead of the parametric value. The primary intelligence to be gleaned from these displays is the amount of energy carried by individual emissions as a function of either specimen load or fatigue cycles. Energy is proportional to the product of the oscillation count and the peak voltage. In general, the energy is indicative of the amount of damage that is occurring in the specimen, so it is instructive to look for rapid increases in acoustic emission energy at specific locations or groups of locations.

The graphical displays are used to help the experimenter quickly locate areas on the specimen where damage is occurring, as evidenced by

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EVENT SI SZ S	3 X LOC	Y LOC	OSC CNT P	YAR VAL	PK VOLT	ELP TIME EC
331 1 2 4 332 1 2 3 332 1 2 3 333 2 2 2 1 3 335 2 2 2 2 2 2 2 2 3 35 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	3       14.5         5       55.8         4       38.1         3       21.2         1       25.0         1       24.3         1       24.4         1       24.4         1       24.5         1       24.5         1       24.5         1       24.5         1       24.5         3       39.3         1       24.5         3       39.3         1       24.5         3       39.3         1       24.5         3       39.3         1       24.5         3       39.3         1       38.3         1       38.3         1       38.3         1       38.3         1       38.3         1       38.3         1       38.3         1       38.3         1       38.3         1       38.3         1       39.0         1       30.1         30.1       30.1         30.1	12.070455287930156550089009383923 16677778777478777708777711667887 177478777708777711667887 177111667887 12177111667887 12177111667887 121771111667887 121771111667887	929 503 953 783 696 710 827 926 929 785 788 9926 979 567 788 9926 9798 567 788 9887 9887 9887 9887 9887 9887 988	19 19 19 19 19 19 19 19 19 19 19 19 19 1	0006409017004000904290293 545344122150454540414544343453	$\begin{array}{c} 4123.0\\ 4124.0\\ 4127.0\\ 4131.0\\ 4132.0\\ 4132.0\\ 4132.0\\ 4135.0\\ 4135.0\\ 4135.0\\ 4135.0\\ 4137.0\\ 4136.0\\ 4137.0\\ 4141.0\\ 1142.0\\ 4141.0\\ 1142.0\\ 4141.0\\ 1142.0\\ 4143.0\\ 4152.0\\ 4153.0\\ 4153.0\\ 4153.0\\ 4165.0\\ 4169.0\\$

Figure 5.5. Example of a tabulated data display obtained during a test. Typically used for monitoring energy carried by individual emissions.

either large numbers of events or large amounts of energy release. The two dimensional planar version is shown in Figure 5.6. The crosses correspond to the transducer locations, the upper number in each box represents the number of valid events which have occurred within the box, the lower number in each box is the cumulative magnitude of the valid events which have occurred within the box, the letter E is the total number of events in the monitored area, the letter R is the number of events which have been rejected due to errors and the letter P is the current parametric value. The one dimensional linear graphs are similar except that only the valid events or only the cumulative magnitudes of the valid events are displayed at any one time.

So far the discussion of the data processing section operation has been limited to situations in which a test is being monitored and it is necessary to have information immediately available so as to predict failure. However, it is also possible to process the acoustic emission data sets recorded during a test after the test is history. This can be accomplished in several ways. The most straightforward is to use the same program described above for real time data set processing except that input is specified from the disc instead of from the remote acoustic emission data acquisition section. The program will convert the recorded data back into raw data exactly like it was originally received and then process it using new information and re-record it on the disc. In this manner one can investigate the effects of changing the acoustic emission propagation velocity and the coefficients of the second order parametric voltage conversion equation.

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11:	1 :25	7	/10/	75					E =		5	ið R	=	19	P	=	10	9.0
1	2	3	4 - X	5	6	7	8	9	10	11	12	13	14	15	16	17	18	x
																		1
					26A 12E													2
																		3
													04A 20e					4
ř.							×							×				5
																		ε
																		7
									01A 02A							1		8
			×							×		Ì						<b>k</b> 9
									1			82A 10A						10
												1					Î	11
	1			87A 27A			1								1	1		12
							X							X				13

Figure 5.6. Two dimensional graphical display obtained during a test. Typically used to locate areas where damage is occurring. Top number in boxes is the number of events at the location, bottom number is the cumulative magnitude of those events. Letters are multipliers with A = 1 and B = 10.

Another method of post test processing can be utilized which will produce graphical displays and tabulated data very similar to that obtainable during test monitoring except that upper and lower acceptance limits can be specified for the parametric value, the peak voltage, the location, the event number, the parametric cycle count and the elapsed Each data set is compared to these limits and only those sets time. which meet the criteria are plotted or tabulated. This capability has two important uses. First, it allows the experimenter to analyze a completed test in segments. For example, if acoustic emission activity occurred at several locations at different times the experimenter could specify location limits and time limits which would enable him to plot each source's activity during the entire test. Or, he could produce plots showing each source's behavior during a portion of the test when the parametric value reached a critical limit. The second use is to produce statistics for each acoustic emission source which are used as inputs to yet another post test processing program.

The final post test processing program has as its purpose the production of functional relationships between various parameters. It can produce graphs of the parametric value versus elapsed time, occurrence versus elapsed time, occurrence rate versus elapsed time, magnitude versus elapsed time, magnitude rate versus elapsed time, occurrence versus magnitude, occurrence versus parametric value, magnitude versus parametric value, occurrence versus parametric cycle count, magnitude versus parametric cycle count and occurrence versus first arrival sensor. All of these graphs are subject to the same limits mentioned previously.

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The technology of acoustic emission instrumentation was advanced by the building of this system for several reasons. First, it made possible the broadband digital recording of acoustic emission waveforms. Second, it permitted the broadband waveform recordings to be associated with a planar or a linear source location even in dispersive structures. And third, it allowed acoustic emission data to be gathered from specimens in environments that had previously precluded such monitoring because the delicate data processing minicomputer was physically separated from the data acquisition section.

### 5.2 Software

The experimental acoustic emission instrument described in detail in Section 5.1 produces digital magnetic tapes containing acoustic emission waveforms. To obtain the desired source identification information from these tapes it was necessary to write computer programs to process them. It was decided that the most useful information contained in the acoustic emission signals would be found in the time and frequency domains so major emphasis was placed on writing plotting programs that would produce graphs of these domains. It was also necessary because of the large amount of data to write the programs to run with a minimum of operator guidance. Additionally, methods were needed to deconvolve the data using gas jet information and also to calibrate the output using engineering units so that results would be directly comparable to the work of other experimenters.

Before describing all of the programs in detail, mention must be

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made of the computer system that was utilized for the experiments. As can be seen on the system block diagram in Figure 5.7 the main processor was a Hewlett Packard 2117F. It had 192 kilowords of random access 16 bit semiconductor main memory, two channels of direct memory access, a floating point processor for enhancing floating point arithmetic operations, dynamic memory mapping to allow direct addressing of up to 1 megaword of memory and 268 recognized instructions including some designed to enhance trigonometric and logarithmic calculations, FORTRAN operations and matrix manipulations. The main mass storage unit consisted of a HP 7906 disc drive capable of storing 20 megabytes, complemented by a HP 7970B magnetic tape unit utilizing a 9 track 800 bpi IBM compatible NRZI format. Acoustic emission data was input through a Vadic 3415A modem operating at 1200 baud, while plotting was done on a Tektronix 4010-1 graphics terminal. A Lear Seigler ADM-31 terminal served as the main system console and a Houston Instrument 8210 line printer provided the program listings. All of these devices (plus several others which appear on Figure 5.7) operated under the control of a Hewlett Packard program named RTE-IVB. This is a multi-programming, multi-tasking operating system which allows program scheduling by interrupt, time of day, operator request, or program request. Program execution is dependent both upon the state of the system resources and the priority of the program relative to other programs already executing or scheduled. It is possible that two equal priority programs can execute concurrently via a central processing unit time-slicing feature.

RTE-IVB supports several high level languages including BASIC, PASCAL, ASSEMBLY and FORTRAN. It was decided that the acoustic emission

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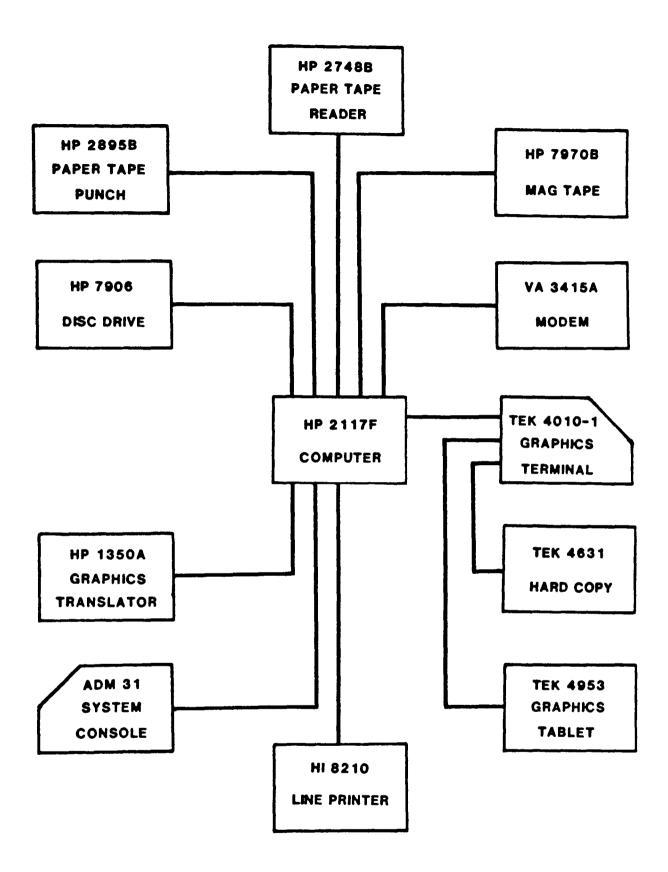


Figure 5.7. Block diagram of computer system and peripheral equipment used for signal processing in this thesis.

signal processing programs would be written in FORTRAN primarily because of programmer familiarity, available callable subroutine libraries and execution speed, but also because the readability of FORTRAN provided an easy means for debugging, modifying and maintaining the programs. Input/output operations and disc file read/write requirements were handled using HP supplied routines, both because of the detailed device control offered by this method and because of the efficiency of execution. Thus, extensive use of subroutines such as EXEC, CREAT, READF, WRITF, PURGE and CLOSE were made in the writing of the acoustic emission signal processing programs. Tables 5.1 and 5.2 provide a summary of the use and function of these HP peculiar utilities; more detailed information is contained in the RTE-IVB system manuals [Ref 92 through 95].

Computer systems are oriented towards the production of listings, which do not provide the most useful form of information for signal processing work. Graphs are much more desirable because of the manner in which they can compress information into a relatively small area, because they allow easy comparison between different experimental results, and because they help define data trends as a function of several variables. To produce graphs using the system in Figure 5.7, however, it was necessary to write some software because equipment from two different manufacturers was involved. The routines were written in HP ASSEMBLY language [Ref 96] because the table accesses and memory location manipulations that were required proved difficult to perform under FORTRAN. Two subroutines were written, named PLOT and SYMB. (See Appendix B for their source code.) Together they allow the programmer

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## Table 5.1 INDEX TO EXEC CALLS

### Format

CALL EXEC (ICODE, ICNWD, IBUFR, IBUFL)

### **Parameters**

ICODE - Type of operation desired (1 - Read, 2 - Write, 3 - I/O Control) ICNWD - Operation subdefinition (FF00B + LUB) LUB - Octal device logical unit FF00B - Octal subfunction code, depends on ICODE FF00B - 100B (Binary mode select) ICODE - 1 or 2 - 400B (Keyboard input printed) ICODE - 3 FF00B - 100B (Write EOF) - 200B (Backspace record) - 300B (Forward space record) - 400B (Rewind) - 600B (Dynamic status) - 1300B (Forward space file) - 1400B (Backspace file) IBUFR - Buffer which contains or will receive data (ICODE - 1 or2) iBUFL - Longth of IBUFR (n = words, -2n = bytes)

### Table 5.2

### INDEX TO FMP CALLS

NAME	FORTRAN CALL	FUNCTION
CLOSE	CALL CLOSE(IDCB, <u>IERR,ITRUN</u> )	Close file NAME to further access by caller.
CREAT	CALL CREAT(IDCB,IERR,NAME,ISIZE,ITYPE,	Create file NAME of size ISECU,ICR,IDCBS) ISIZE, type ITYPE.
LOCF	CALL LOCF(IDCB.IERR,IREC <u>IRB,IOFF</u> , JSEC, JLU,JTY,JREC)	Returns information on open file; next record in IREC, next block (IRB), next word (IOFF), etc.
OPEN	CALL OPEN(IDCB,IERR,NAME,IOPTN,ISECU	<u>JCR, IDCBS</u> ) Open file NAME for access by calling program.
PURGE	CALL PURGE(IDCB,IERR,NAME, <u>ISECU,ICR</u> )	Purge file NAME and its extents from disc.
READF	CALL READF(IDCB,IERR,IBUF, <u>IL,LEN,NUM</u> )	Read record from open file to buffer (IBUF).
RWNDF	CALL RWNDF(IDCB, <u>IERR</u> )	Rewind or position to first record in file.
WRITF	CALL WRITF(IDCB,IERR,IBUF <u>IL,NUM</u> )	Write record from buffer (IBUF) to file.

	COMMON PARAMETERS
IBUF	user-defined integer array used as read/write buffer for READF and WRITF calls.
ICR	one-word integer variable set to cartridge reference number of cartridge containing file:
	positive integer≐ cartridge label negative integer = logical unit number
IDCB	user-defined integer array (Data Control Block) containing file contro information on open file (16 words) plus packing buffer for data transfe (minimum 128 words), IDCB assumed to be 144 words unless IDCBS in specified.
IDCBS	one-word integer variable containing exact number of words in IDCI when IDCB greater than 144.
IERR	one-word variable where negative error code is returned, or for successfu OPEN, file type, for successful CREAT, number of 64-word sectors.
NAME	3-word integer array containing legal 6-character file name, must no begin with blank or number, no embedded blanks; use any printabl ASCII character.
ISECU	one-word security code; integer or two ASCII characters:
	positive = write protected
	negative = read/write protected
	zero = not protected
OPTION	AL PARAMETERS IN FORTRAN CALLS ARE UNDERLINED.

to draw line segments, input cross-hair cursor intersection coordinates to interactively designate and quantify points of interest, draw alphanumeric symbols of any size and orientation to label the plot, erase the plot and produce hard copies of the plot.

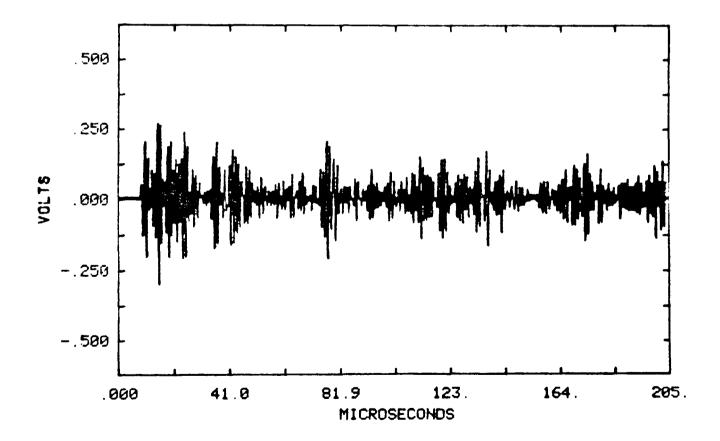
With the basic tools developed work began on the actual acoustic emission signal processing routines. The first program, designed to be used after the generation of the acoustic emission signal magnetic tape, is named PLTME for "plot time domain". (See Appendix B for its source code.) It can be used in one of two modes, one of which allows viewing any particular acoustic emission signal recorded during an experiment and contained within one file on the tape. The other mode views all acoustic emission signals recorded during any experiment in sequence until the end of file is reached, allows the operator to select waveforms worthy of further processing, and writes the waveform number of the selected signals into a disc data file. Additional features of PLTME are its automatic vertical scaling which works in a 1, 2, 5 multiplication sequence to show as much detail on the plot as possible, its vertical and horizontal labelling sections which produce automatically labelled plots over a full scale range of 0.01 to 500 volts and 20.4 to 409 microseconds, respectively, and its automatic association of the plot with the particular acoustic emission waveform number that produced it.

The disc data file produced by PLTME has a specific flexible format that permits the experimental conditions to be retained as the signals are processed. An example of such a file appears in Figure 5.8. The

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0001 0002 0003 0004 0005 0006 0007 0008 0007 0008 0009 0010	"7039 SCC EXPERIMENT (K=31)" "EMISSIONS GATHERED OVER A 55 MINUTE PERIOD" "TOTAL OF 60 AE SIGNALS RECORDED" "GOOD SIGNALS WERE DETERMINED FROM VISUAL APPEARANCE" "PREAMP GAIN = 36 DB, BIOMATION ATTENUATOR = 0.05 VOLTS" "TRIGGER SETTING = +0.06, PRETRIGGER, 1.80 TRIGGER DELAY" "GAIN CORRECTION FACTOR ="0.05, "SAMPLING RATE ="0.1 "RAW DATA TAPE FILE NUMBER ="3 "GOOD TAPE RECORDS FOLLOW:" 1,2,3,4,5,6,7,8,9,10,11,12,13,14,15,16,17,18,19,20
	"GOOD TAPE RECORDS FOLLOW:"

Figure 5.8. Disc data file produced by program PLTME.



"1 MHZ PULSE AS RECEIVED BY D/E S9201" BIOMATION RECORDING 1

Figure 5.9. Time domain plot produced by program PLTME.

first line becomes the title that PLTME and other programs will place on graphs. It can contain any ASCII character with the exception of double quotes, which are used as delimiters to start and end the string. Subsequent lines have the same content restriction, the difference is that they will not be processed by PLTME or other programs unless they contain a non-zero number outside of the double quotes. When this happens, as in line 7 of Figure 5.8, PLTME interprets the left most number outside of the double quotes as a scaling factor for the ordinate. If there is a second number separated by a blank space, a comma or a delimited string it will be used as a scaling factor for the abscissa, otherwise a value of zero will be used as the abscissa scaler. The next line must then contain a non-zero integer outside of a delimited string to be used as the tape file number. Any other descriptive lines that the experimenter wishes to record can now be entered provided that they begin and end with double quotes, for once another non-zero integer outside of a delimited string is encountered by programs subsequent to PLTME it will be interpreted as a valid acoustic emission record number.

With the entry of the data file header information completed, PLTME produces time domain plots of acoustic emission signals similar to the example shown in Figure 5.9. If the operator judges the signal to be worthy of further processing he presses the G key (for "good") when the cross-hairs appear and the record number of the signal is written to the disc data file. Any other key simply causes the next signal to be plotted. The sequence continues until the end of file on the magnetic tape is reached, signifying the end of the acoustic emission experiment

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and causing PLTME to terminate. As mentioned previously, Figure 5.8 is an example of the data file output produced by PLTME. Such a file does not have to be produced. Should the operator chose to simply view acoustic emission waveforms he merely enters the appropriate scaling factors, tape file number and waveform number when prompted by PLTME to do so. When the cross-hairs appear after the time domain plot is drawn, typing a Q (for "quit") will cause program termination while any other response causes PLTME to ask for another waveform number.

Having run PLTME, the operator now possesses time domain plots of all of the acoustic emission signals he wishes to analyze and also has a file containing the waveform numbers of those signals along with relevant experimental documentation. Program AENOR, which stands for "acoustic emission normalization", is now scheduled to produce a data file containing frequency domain information. (See Appendix B for its source code.) AENOR will first request the name of the waveform data file produced by PLTME and then will request a name for a file in which to write the frequency domain data. The header information in the PLTME output file will be transferred verbatim to the frequency domain file. thus insuring that experimental conditions are kept with experimental results. Next, the magnetic tape containing the acoustic emission signals will be read using the tape file number and the signal numbers in the PLTME output file for positional information. A power spectrum will be calculated for each signal number in the PLTME output file and the resulting spectrum will be written to disc along with a normalization factor and the appropriate signal number. The normalization factor is defined as the ratio of the total energy in the

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first signal encountered by AENOR to the total energy in the signal presently being processed. This factor provides a convenient way for subsequent programs to produce "constant energy" spectral plots of acoustic emission waveforms in a particular experiment to simplify spectral shape comparisons. AENOR terminates when all of the signal numbers in the PLTME output file have been processed.

One of the prime concerns in writing AENOR was that it produce a power spectrum calibrated in engineering units. This requirement was met through careful attention to detail in lines 166 through 180 of AENOR (see page 272), which are responsible for the calculation of the power spectra. The process starts with obtaining the real and imaginary parts of the frequency spectrum from the time domain data, this is done using subroutine FOUR2 in line 166. This particular subroutine performs a base 4 + 2 FFT which results in approximately 25% faster execution than a straight base 2 FFT. (See Section 4.2 and Appendix A for more discussion on the FFT.) Lines 170 and 171 correct for the fact that FOUR2 scales the spectral data by the dimension of the transform. Line 172 calculates the power spectrum from the complex frequency spectrum by multiplying each complex frequency component by its complex conjugate. Line 173 reflects the fact that the most commonly used 0 dB reference level is 1 milliwatt into a 50 ohm impedance, while the power spectrum calculated in line 172 uses as a 0 dB level 1 watt into a 1 ohm impedance. The final correction, made in line 174 of AENOR, is made because the mathematical definition of a Fourier transform requires integration over time from negative infinity to positive infinity which results in frequencies from negative infinity to positive infinity.

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Negative frequencies have no physical meaning, but the power carried in these frequencies must be accounted for. Because of the symmetry of the power spectrum about 0 Hz when analyzing real (as opposed to complex) time domain signals, it is only necessary to double the power in the positive frequency band to produce a plot of total power versus the absolute value of frequency.

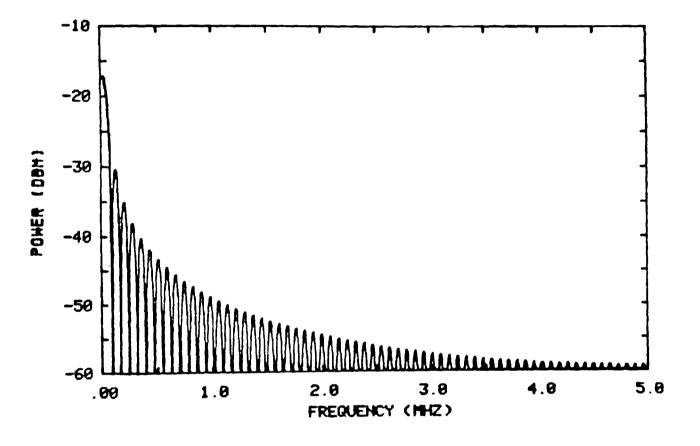
Verification of the output of AENOR was accomplished by creating an artificial pulse with an amplitude of 0.5 volts, a duration of 12.8 microseconds and a repetition rate of 204.8 microseconds on magnetic tape. A header file was created as if PLTME had been run and AENOR was called to process the magnetic tape. The output file of AENOR was plotted using a program which will be described shortly and Figure 5.10 resulted. The amplitude of each Fourier component of a square pulse is given by Seely [Ref 97] as:

$$C(n) = \frac{Ea}{T} \frac{\sin \pi na/T}{\pi na/T}$$
(5.2)

where E is the amplitude of the pulse, a is the duration of the pulse, T is the pulse repetition rate and n equals 0, 1, 2, etc. The power in each Fourier component is found by squaring c(n) for each n and dividing by the impedance. For a 50 ohm impedance it is easy to prove that the DC level (n = 0) of the pulse should be -17.09 dBm, the first sidelobe (n = 23) should be -30.36 dBm, the second sidelobe (n = 39) should be -34.94 dBm and the third sidelobe (n = 56) should be -37.92 dBm. Since Figure 5.10 agrees with these values it can be concluded that AENOR is indeed calibrated.

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BIOMATION RECORDING 1

BANDHIDTH 4.9 KHZ

Figure 5.10. Power spectrum produced by program PLFFT for an artificial square pulse of 0.5 V amplitude 12.8  $\mu$ S wide having a repetition rate of 204.8  $\mu$ S.

As was explained in Section 3.2 a helium gas jet can be used to remove the effects of system variables on experiments. The process of doing so, however, requires that a power spectrum be developed which describes the long term frequency content of the gas jet signal. For this purpose program GASJT was written. (See Appendix B for its source code.) In operation this program will creat a header file exactly as does PLTME so that the experimental conditions will be recorded. Once the tape file number is entered, however, GASJT proceeds immediately to process every time domain signal in that file on the magnetic tape. For each signal it will calculate a calibrated power spectrum in a manner similar to that described for AENOR and add each succeeding power spectrum on a frequency by frequency basis to the sum of all previous power spectra. When the end of file of the magnetic tape is reached the totalized power spectrum is divided by the total number of signals processed to form an averaged power spectrum for the experiment.

The information contained in the data files produced by AENOR and GASJT is most useful in graphical form. To produce the graphs program PLFFT, for "plot FFT", is used. (See Appendix B for its source code.) The operator is prompted to enter the name of the file containing the acoustic emission signal FFT information. If he so chooses the name of the gas jet power spectrum file can be entered next in order to produce normalized plots. PLFFT then prompts the operator to enter the waveform number he desires to plot and also asks if "constant energy" plots are desired. If this feature is selected all of the plots will contain the same energy as the first plot of the file, otherwise every plot will be calibrated with a log reference level of 0 dB equal to 1 milliwatt into

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a 50 ohm impedance. The program then proceeds to produce a graph similar to the example shown in Figure 5.10. When the cross-hairs appear typing in a Q (for "quit") will cause program termination. Typing in a # causes PLFFT to request another waveform number, while typing in a M (for "magnify") causes the program to magnify the plot by a factor of 1, 2 or 5 depending on the operator's choice. PLFFT employs automatic vertical scale ranging to insure that the maximum amount of detail is shown over its 60 dB viewing area from a full scale maximum of -940 dBm to 9990 dBm. A clipping algorithm is used to keep the lower limits of the graph from exceeding the plot area and automatic abscissa labelling is employed to produce rational labels over a full scale range of 0.05 MHz to 50 MHz. Additional features include the automatic association of the plot with the acoustic emission waveform number which produced it and the automatic calculation and labelling of the plot with the minimum frequency resolution, or bandwidth.

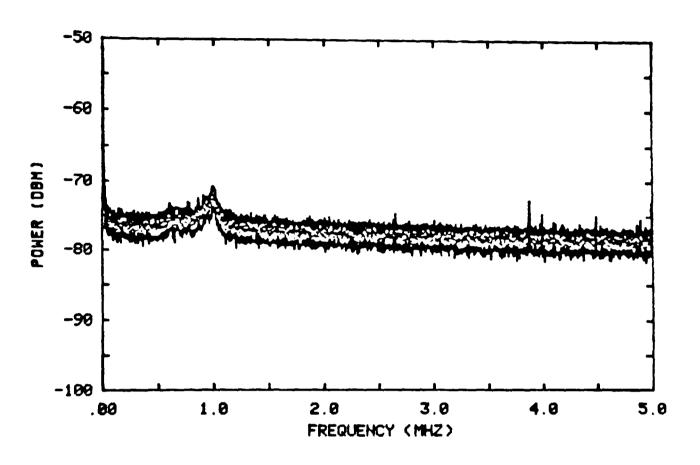
When experience was gained using the programs just described it was realized that it would also be desirable to be able to calculate an average acoustic emission power spectrum for an entire test, complete with confidence limits. The reason for this was that the variability from spectrum to spectrum between acoustic emission signals within one test was great enough to hinder the search for differences in spectral shape between tests conducted using different failure processes. For this reason, program AECNF (for "AE confidence limits") was written. (See Appendix B for its source code.) This program allows the operator to process any output file produced by AENOR and to normalize the acoustic emission signal power spectrum using helium gas jet data

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produced by GASJT if such is desired. AECNF will prompt the operator to enter a "t" value and the corresponding confidence limits for the calculated number of degrees of freedom and will then produce a plot similar to that shown in Figure 5.11. When the cross-hairs appear the operator can magnify the plot by typing in a M, or he can enter another "t" value and the appropriate confidence limits by typing a T, or he can terminate AECNF by typing in anything else. AECNF has the same automatic vertical scale ranging, clipping, abscissa labelling and bandwidth calculation features that PLFFT employs. In addition it labels the plot with the confidence limits which were utilized and also the number of spectra that were averaged.

One last program was discovered to be needed when it was found that the extended record length data files produced by AENOR and GASJT could not be saved on magnetic tape or even moved from disc cartridge to disc cartridge through the use of RTE-IVB file manager commands. A program named DBSVR (for "data base save and restore") was therefore written to create a processed acoustic emission data base on magnetic tape. (See Appendix B for its source code.) DBSVR asks the operator if he wishes to save or restore data. If the answer is "save" the program asks if there is already data on the tape so that it can skip over it, then requests the name of the file to save and proceeds to store that file on magnetic tape. If the operator requests to restore data he is asked for the file number on the tape that contains the data he wants to restore. The program then prints out the first line of the header information and asks if this is the data that is desired. If not, DBSVR requests another file number and the process repeats. Otherwise, DBSVR requests

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"7075 ALUMINUM CYLINDER GAS JET DATA" 99% CONFIDENCE LIMITS

100 SPECTRA AVERAGED

BANDWIDTH 4.9 KHZ

Figure 5.11. Averaged power spectrum with confidence limits produced by program AECNF.

the name of a file in which to store the data and proceeds to restore the data to disc. In both the save and restore modes the data that has been newly created is verified against the original data so that no errors occur.

As was mentioned before care was taken to insure that properly calibrated spectra were created by AENOR and GASJT and it was shown that it was possible to produce frequency spectra which agreed with theoretical calculations. However, due to the fact that other experimenters were producing acoustic emission power spectra using analog techniques through the use of the HP 8553B/8552B/141T swept frequency analysis system it was deemed important to determine if AENOR and GASJT produced comparable spectra. To accomplish this identical signals were input to both the analog and the digital systems and the results were compared.

The test time domain waveform that was chosen for input to both AENOR/GASJT and the HP8553B was not strictly a waveform but rather random noise. The selection of noise as a test input rather than an actual acoustic emission waveform arose partially because of the necessity to repeatedly input the signal to the analog instrument. This is because the HP 8553B electronically sweeps a filter over the desired frequency range, thus the spectral components are sampled sequentially in time. AENOR and GASJT, on the other hand, are real-time analysis systems that calculate all of the spectral components simultaneously from a single input. To get a fair comparison of the two systems using an actual acoustic emission waveform, then, it would be necessary to

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have a recording system that would accurately reproduce the signal at a constant repetition rate. Although this requirement could conceivably be met it is also important to realize that the HP 8553B instrument suffers from a phenomenon know as "pulse desensitization", which is caused by the fact that the swept filter employed in the instrument responds differently to a pulse than it would to a continuous signal [Ref 98]. The amplitude of the pulse desensitization in dB is given by:

$$\alpha_{\rm p} = 20 \log \tau_{\rm e} B_{\rm i} \tag{5.3}$$

where  $\tau_e$  is the effective pulse width and  $B_i$  is the effective impulse bandwidth of the swept filter. The decay of an acoustic emission signal makes it extremely difficult to assign a value to  $\tau_e$ , thus the amount of correction required for an acoustic emission signal would at best be a guess. The substitution of random noise for an acoustic emission waveform eliminates all problems since there will be no pulses to desensitize the filter and since the input will be reproducible if a long enough sweep time is used on the HP 8553B to allow the dwell of the filter at a specific frequency to average out short term statistical fluctuations in the noise. AENOR will of course not be usable since it would process a short enough signal that statistical fluctuations would be important. GASJT, however, is ideally suited to this situation since it averages a number of power spectra together to develop an estimate of the long term average power spectrum.

Figure 5.12 shows the output of GASJT when 57 power spectra of background electrical noise signals created by thermal processes in a Dunegan/Endevco S9201 transducer were averaged. Figure 5.12 also shows

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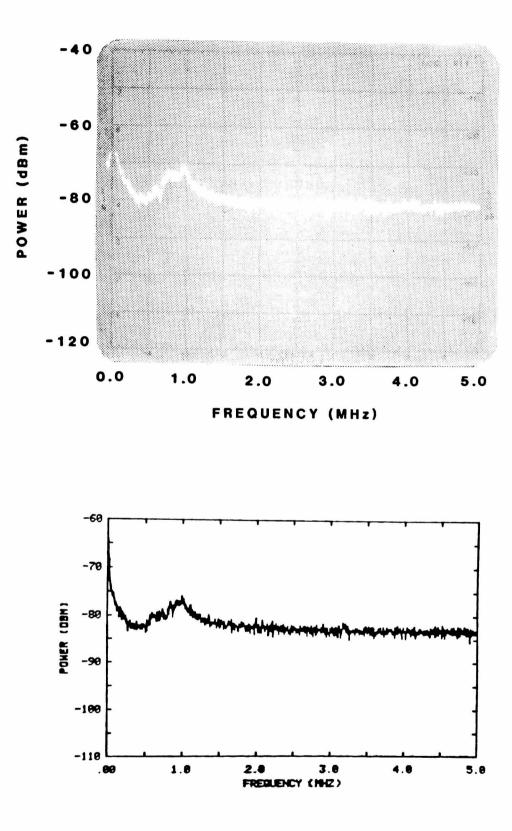


Figure 5.12. Comparison of thermal noise frequency spectral plots produced by analog and digital methods. Comparison is exact if 3 dB bandwidth correction is made.

the scope presentation of the HP 8553B instrument when it was connected to the same noise source. Note that the HP 8553B spectrum is 3 dB higher than the GASJT plot. This is caused by the fact that the bandwidth used on the HP 8553B was 10 kHz as opposed to the 4.9 kHz bandwidth of GASJT. Since random noise is random in both amplitude and phase doubling the measurement bandwidth doubles the measured power [Ref 99]. This requires that a 3 dB correction be made when the bandwidth is doubled and therefore the output of GASJT is precisely comparable to the output of the HP 8553B/8552B/141T swept frequency analysis system. Because the only difference between GASJT and AENOR is that GASJT averages spectra together while AENOR does not it is reasonable to conclude that AENOR would produce a power spectrum for an actual acoustic emission waveform which would be comparable to that produced by the analog system, provided that the problems of producing an accurate, repetitive version of the acoustic emission signal and establishing an accurate pulse desensitization factor for the HP 8553B system could be overcome.

The technology of acoustic emission was advanced by these programs for several reasons. First, they allow the use of digital signal processing for acoustic emission work with the assurance that the results are comparable with earlier analog results. Second, they provide a method for eliminating the effects of geometry changes, couplant variations and transducer aging on the experimental results. And third, they permit confidence limits to be calculated so that for the first time the effects of experimental errors on acoustic emission data may be evaluated.

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## CHAPTER 6

# SIGNAL ANALYSIS RESEARCH

This chapter describes a series of experiments conducted using 4340 steel and 7039 aluminum to determine if different acoustic emission sources can be identified by their emitted signals. The results indicate that this goal can be achieved using the data acquisition methods and signal processing techniques presented.

# 6.1 Objective

The goal of this thesis was to extend the technology of acoustic emission by developing methods for discriminating between acoustic emission signals to make possible the identification of the failure processes which generated the acoustic emissions. Chapter 5 documented the construction of a unique acoustic emission instrument which advanced acoustic emission technology since it permitted for the first time the acquisition of broadband digital waveform recordings of acoustic emission signals. Also documented in Chapter 5 was the writing of computer programs which collectively advanced acoustic emission technology by allowing such broadband digital waveform recordings to be processed so as to eliminate the effects of various experiment dependent

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quantities while permitting a meaningful estimate to be made of the effects of experimental error. The purpose of this portion of the research program was to experimentally test the developed acoustic emission system and computer programs to determine if they did indeed provide the desired acoustic emission source discrimination capability.

Three experiments were performed to test the instrument and the programs. Two different materials, three different specimen configurations and two modes of failure were used during the experiments to completely check the ability of the developed techniques to eliminate the effects of experiment dependent quantities while still performing source discrimination. The conducting of only three experiments is justifiable because the large number of acoustic emission signals that were recorded (1164 in all) required a tremendous amount of processing (628 pairs of useful plots resulted from the experiments). Since these acoustic emission signals were generated by growth of cracks over many interatomic distances (the total crack length increase monitored during the experiments was 16 mm) a valid statistical sampling was made of the population of all possible acoustic emission signals from the specimens and therefore further experiments would be redundant. Also, other workers associated with the author on another project reported that their experiments with similar specimens produced similar acoustic emission waveforms [Ref 85]. Thus, the analysis performed in this thesis utilized acoustic emission signals which were typical of the materials monitored.

It will be shown that the techniques developed in Chapter 5 do

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permit an experimenter to discriminate between different acoustic emission source mechanisms on the basis of the received signals. This is particularly significant since it will be shown that such source discrimination can be achieved in specimens of engineering interest rather than specimens of strictly laboratory interest. A limitation of the developed techniques is that they do not discriminate on an individual signal by signal basis but rather work on a collection of signals from an entire experiment. However, since the experiments do firmly establish the feasibility of source discrimination in engineering specimens, it is felt that the developed signal processing techniques advance the technology of acoustic emission. More intricate and expensive signal processing methods can now be investigated with the confidence that identifiable source mechanism characteristics exist in acoustic emission signals.

#### 6.2 Experimental Design

The objective of differentiating between different acoustic emission sources imposed numerous constraints on the experiments. First, faithful recording of the signals over the largest possible bandwidth was required in order to obtain the maximum data base from which to extract the signal characteristics. Second, specimens had to be designed to fail through a single mechanism to enable a positive identification of acoustic emission signals. Third, methods had to be developed to calibrate the specimen-couplant-transducer-recording system to insure that data obtained under different conditions would be

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comparable. And finally, methods of processing the data to characterize individual acoustic emission sources had to be developed.

The data recording instrumentation starts with the transducer since it is there that the electrical representations of the acoustic stress fields are developed. As was pointed out in Section 2.4 there are several types of transducers from which to choose. However, practical considerations such as ruggedness, immunity from noise and high sensitivity effectively limit the choice to piezoelectric transducers. Since reproducibility was also a consideration it was decided to utilize transducers that were built in quantity to obtain the advantages of mass production and hopefully limit response variability. Examination of the transducers of three acoustic emission companies including the Acoustic Emission Technology model FC500 and the Trodyne model 7536A led to the selection of the Dunegan/Endevco model S9201 based on its sensitivity, response bandwidth and availability.

The author's prior acoustic emission experience indicated that a typical acoustic emission signal from aluminum and steel impinging on the S9201 transducer would generate an amplitude ranging from 10 to 100  $\mu$ V peak to peak into 50 ohms at the transducer output and would have a useful frequency range of 0.1 to 1.0 MHz. To condition such signals a high input impedance broad band preamplifier providing a gain of 100 was built. This consisted of an FET input stage, shown in Figure 6.1, feeding a Trodyne model 7529A preamplifier. This combination provided an input impedance of 1 megohm, a gain of 36 dB and a bandwidth of 10 kHz to 15 MHz at the 3 dB points. The importance of the high input

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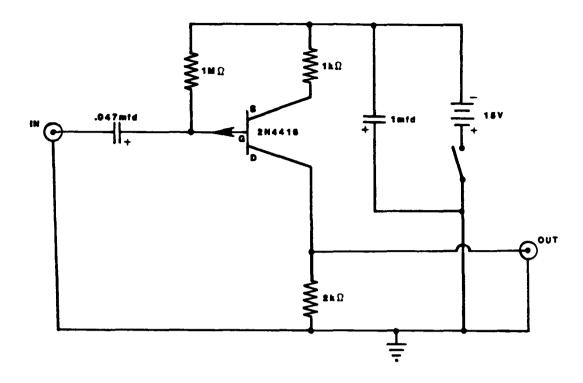


Figure 6.1. Field effect transistor impedance converter built for thesis research program.

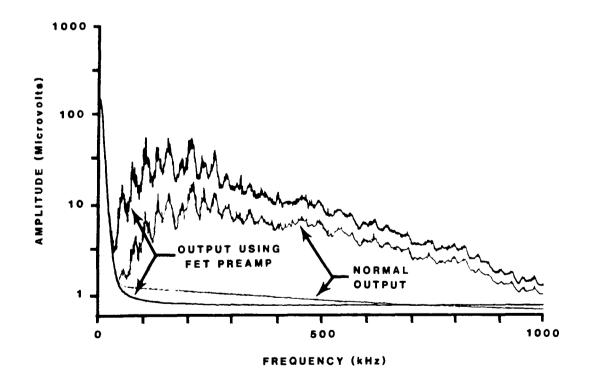


Figure 6.2. Gain increase achieved from use of circuit of Figure 6.1 (top curve) over normal operation (bottom curve).

impedance may be seen in Figure 6.2, where a simultaneous increase in the signal to noise ratio as well as a higher voltage output is realized by going from 10 kilohm to 1 megohm input impedance. Another important aspect of the preamplifier was that it was completely shielded and battery operated. This modification was made to eliminate pickup of extraneous signals such as radio stations, radar, lights, etc.

Recording of the amplified acoustic emissions was performed using the acoustic emission system described in Section 5.1. The equipment directly involved in the recording process consisted of a Biomation Model 8100 analog to digital converter, a specially designed interface unit and a Kennedy Model 9000 digital magnetic tape drive. Digital recording of the signal offered significant advantages over analog recording in that daily calibration was unnecessary, long term signal degradation did not occur after a waveform was recorded on the tape, a better dynamic range was available, triggering was available to record signals during long quiet periods, and most importantly, easy and versatile signal processing could be performed via a digital computer. Another useful feature of digital recording was the pretrigger capability it offered which effectively allowed signal recording to start before the trigger occurred, thus preserving the all important leading edge of the acoustic emission. Some disadvantages were that quantization was introduced into the recordings and continuous recording of the signal was impossible. In the system used, quantization was 8 bits (1 part in 256), sampling rates could vary from 0.01  $\mu$ S to 10  $\mu$ S in a 1-2-5 sequence and 2048 consecutive points could be recorded with a fixed dead time of 140 mS. A sampling rate of 0.1 µS was found to be

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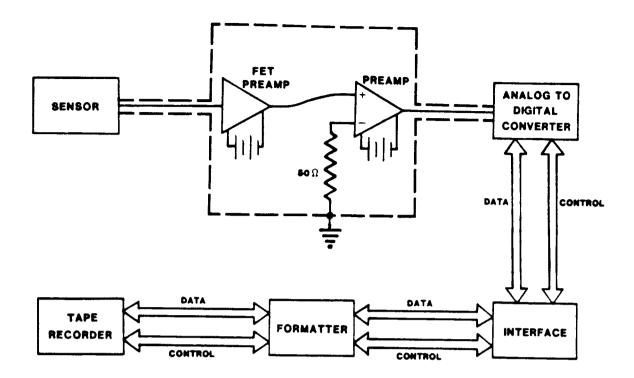


Figure 6.3. Block diagram of the digital recording section of the acoustic emission system built for thesis research program.

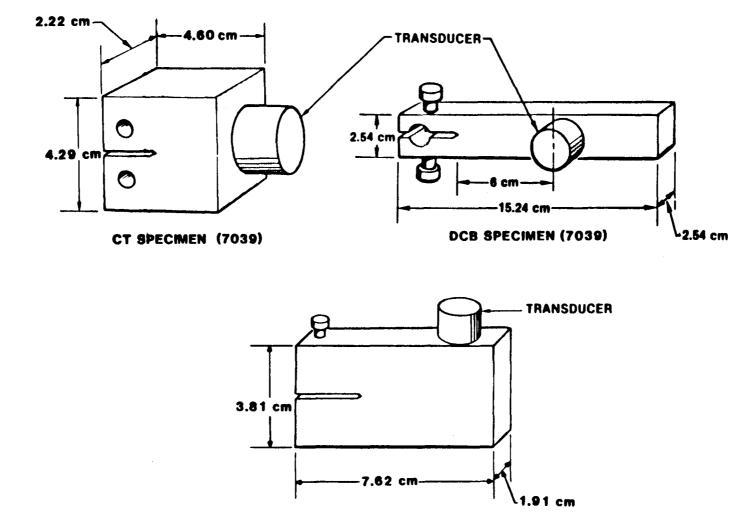
TABLE 6.1	GAS JET OPERATING SPECIFICATIONS [Ref 83]
Parameter	Value of Parameter
Type of Gas	Helium
Pressure	144.8 kN/m <sup>2</sup> $\pm$ 6.9 kN/m <sup>2</sup>
Jet	As supplied by RMC, Canada - glass capillary of approximately 0.8 mm diameter by 60 mm long.
Stand Off	3.5 mm <u>+</u> 0.1 mm
Bore Angle	$0^{\circ} \pm 2^{\circ}$ with respect to surface normal
Miscellaneou	s Install filter in gas delivery line (such as nylon stocking). Clamp jet assembly only on plastic inlet section of capillary. Measure pressure at jet inlet (use of flowmeter recommended to detect perturbations in delivery).

the most useful since it permitted recording most of the envelope of a typical acoustic emission signal emitted from aluminum and steel while providing a Nyquist frequency of 5 MHz, thus 205  $\mu$ S of acoustic emission data was recorded at least every 140 mS. For clarity Figure 6.3 shows a block diagram of the digital recording section of the acoustic emission system.

The specimens employed in the acoustic emission source identification experiments are depicted in Figure 6.4. The double cantilever beam design was chosen for stress corrosion cracking specimens since it was a simple geometry that featured self loading. These attributes helped to reduce echoes within the sample, and eliminated the possibility that machine noise would contaminate the acoustic emission signals. The compact tension design was chosen for tensile overload specimens because it is well defined from a fracture mechanics point of view, thus insuring a known stress field and hopefully, therefore, a reproducible failure. Two materials, 4340 steel (Fe-0.4 C-1.8 Ni-0.8 Cr-0.7 Mn-0.3 Si-0.2 Mo, weight percentages) and 7039 aluminum (Al-4.0 Zn-2.8 Mg-0.4 Fe-0.3 Si-0.25 Mn-0.2 Cr-0.1 Cu-0.1 Ti, weight percentages) were selected. This was done to provide some insights into the acoustic emission behavior of different materials failing through different mechanisms. Prior to testing, the 4340 steel was quenched and tempered to produce a Rockwell "C" hardness of 49, while the 7039 aluminum was solution treated, quenched and aged to produce a Rockwell "B" hardness of 78.

Calibration of the specimen-couplant-transducer-recording system

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DCB SPECIMEN (4340)

Figure 6.4. Schematic diagram of specimens used in thesis research showing transducer locations employed.

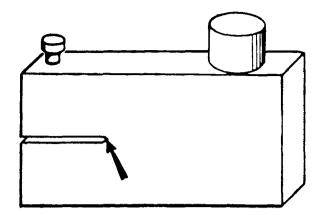
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was carried out using the helium gas jet technique. Selection of this calibration procedure over some of the others mentioned in Section 3.2 was made because it was easier to implement in a reproducible manner and because it yielded signal amplitudes which were more typical of acoustic emissions. To insure a reproducible calibration signal the gas jet operating parameter values listed in Table 6.1 were used. These values were reported by Bentley and Green [Ref 83] as being the most optimal for helium gas jet system calibration work. The reference gas jet spectrum was then developed by making a number of recordings of the time domain signals, calculating the power spectral density for each signal and then averaging all of these power spectra. It was found that 100 time domain signals averaged together would be sufficient to yield a reference power spectrum with an error of plus or minus 0.1 dB from 0.1 to 1.0 MHz. It should be reiterated that the purpose of the helium gas jet system calibration is to eliminate the variability between experiments caused by geometry changes, couplant variations and transducer aging. As will be seen, if these variations were not removed from the data they would overwhelm the spectral changes caused by acoustic emission source differences and therefore source discrimination could not be done.

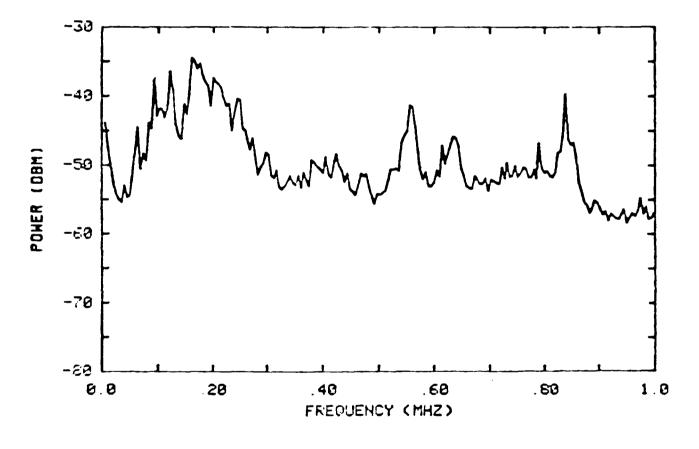
#### 6.3 Results

The goal of these experiments was to determine if differences could be discerned between acoustic emissions emanating from different materials undergoing different failure processes. Thus, it was

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"4340 SCC GAS JET"

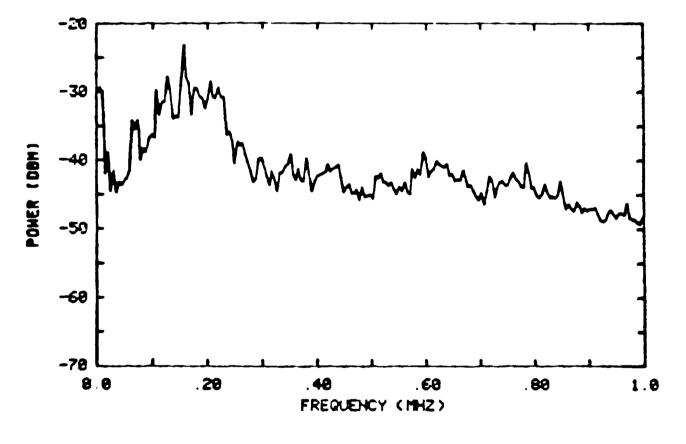


BIOMATION RECORDING 1

BANDWIDTH 4.9 KHZ

Figure 6.5. Point of application of gas jet and resulting power spectrum for 4340 DCB specimen.

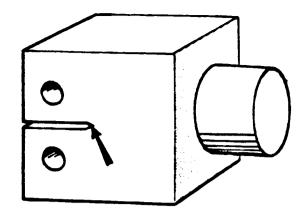
"7039 SCC GAS JET"



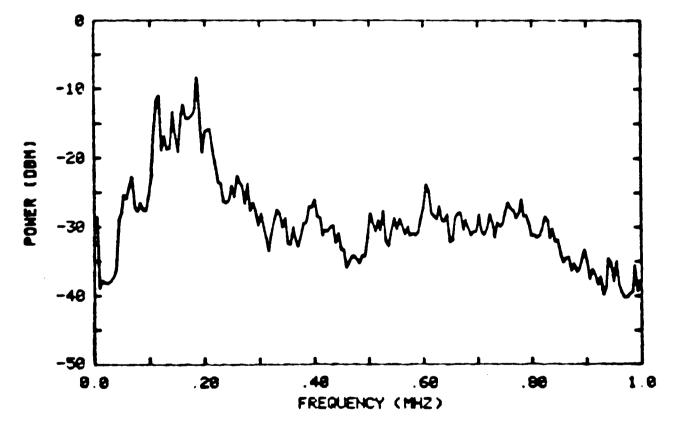
BIOMATION RECORDING 1

BANDHIDTH 4.9 KHZ

Figure 6.6. Point of application of gas jet and resulting power spectrum for 7039 DCB specimen.



"7039 TENSION GAS JET"



BIOMATION RECORDING 1

BANDHIDTH 4.9 KHZ

Figure 6.7. Point of application of gas jet and resulting power spectrum for 7039 CT specimen.

imperative before any experiment started to obtain a calibration signal to provide a basis for comparison. This was accomplished as described above, and Figures 6.5, 6.6 and 6.7 show the resultant reference power spectra and the point of stimulation for each experimental situation. The choice of the stimulation point was made to provide a reference signal in the vicinity of the expected acoustic emissions. In such small specimens no significant variation in the reference power spectrum resulted when the stimulation point was moved. This would not generally be the case in a larger specimen. Examination of the spectra in Figures 6.5, 6.6 and 6.7 reveal that all three are different. This is to be expected since three drastically different geometries are involved because it has been found by McBride and Hutchison [Ref 100] that geometry is the major source of changes in the reference spectra.

Having obtained a reference spectrum for each specimen mechanical testing commenced starting with the 4340 steel DCB specimen. A razor blade was used to create a fresh surface at the root of the notch, then the corroding agent (a saturated solution of sodium chloride) was added and finally the loading screw was tightened one quarter of a turn. During the next 70 minutes a crack formed and propagated approximately 8 mm into the steel while a total of 553 acoustic emission signals were recorded. The trigger level for recording an acoustic emission signal from this material was  $32 \ \mu V$  referred to the transducer.

Of the 553 signals recorded only 382 were found to be useful. This was determined by visual inspection of the data set. Visual inspection is of course not desirable for routine source identification work. For

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"4340 STEEL SCC TEST" BIOMATION RECORDING 493

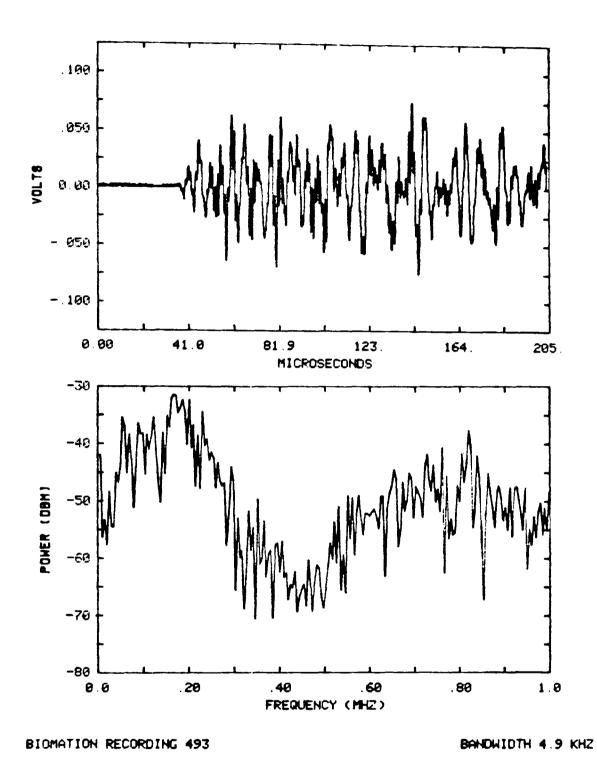


Figure 6.8. Time domain waveform and corresponding power spectrum obtained from 4340 steel stress corrosion cracking.

"4340 STEEL SCC TEST" BIOMATION RECORDING 69

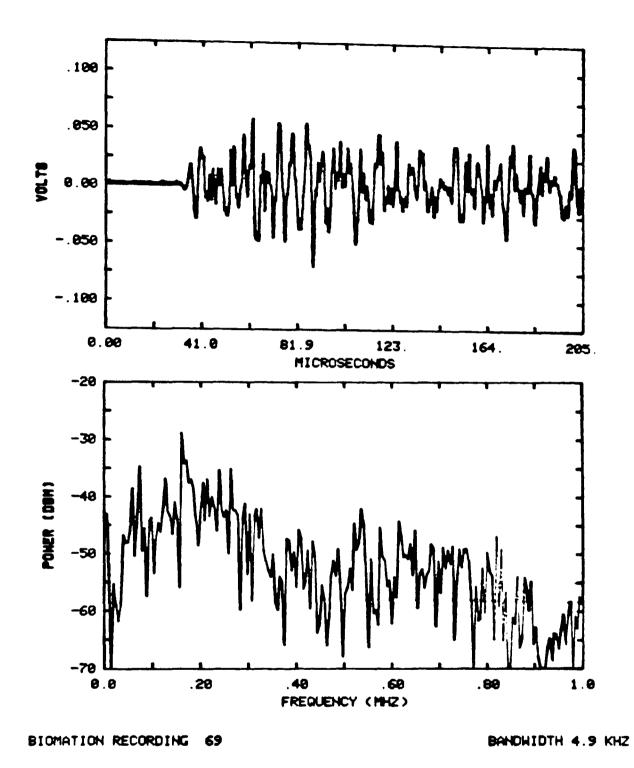
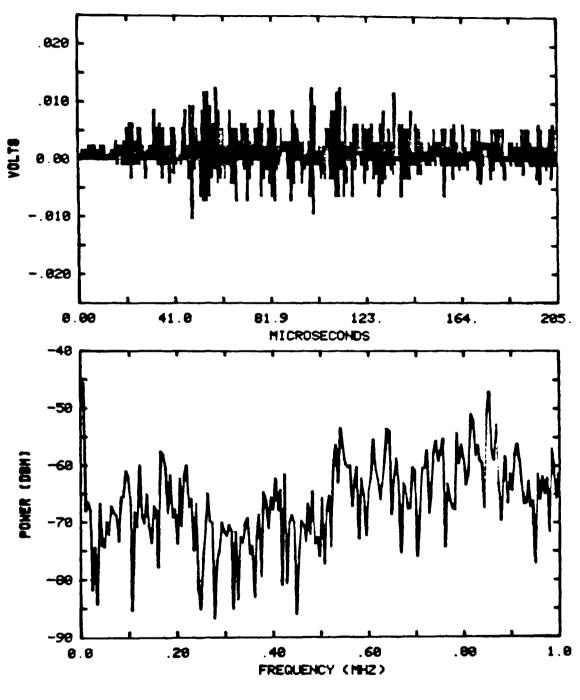


Figure 6.9. Time domain waveform and corresponding power spectrum obtained from 4340 steel stress corrosion cracking.

"4340 STEEL SCC TEST" BIOMATION RECORDING 198



BIOMATION RECORDING 198

BANDHIDTH 4.9 KHZ

Figure 6.10. Time domain waveform and corresponding power spectrum obtained from 4340 steel stress corrosion cracking.

this reason a computer program was written to automatically select signals for further processing. However, it proved too difficult to make the program selective enough to keep all of the good signals while rejecting all of the bad ones. Thus, only visual selection of good signals was used for the experiments in this thesis. Signals which were clipped or whose envelopes did not conform to the expected appearance of an acoustic emission signal's envelope (ie, initial quiet period followed by a short steep rise to a maximum value and an exponential decay after the peak) were rejected. Examples of good signals are shown in Figure 6.8, 6.9 and 6.10 along with their frequency transforms. It can be seen that these signals are quite distinct from one another.

A similar experiment was conducted on the 7039 aluminum DCB specimen, except steps were taken to calculate the stress intensity factor, K, at the start of the data gathering process. This was accomplished by measuring the unloaded height of the specimen perpendicular to the plane of the crack (2h), obtaining the crack opening displacement (d) after turning the screw to produce pop-in, obtaining the crack length (a) by measuring from the center of the loading screws to the tip of the crack along the plane of the crack and then calculating K using an equation due to Kanninen [Ref 101]:

$$K = \frac{\sqrt{3}}{2} \quad \frac{E h^{\frac{3}{2}} d}{a^{2}} \quad \left[ \frac{1 + 0.64(h/a)}{1 + 1.92(h/a) + 1.22(h/a)^{2} + 0.39(h/a)^{3}} \right] \quad (6.1)$$

where E is the elastic constant.

Once again a razor blade was used to create a fresh surface at the

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7039 SCC (K=31) BIOMATION RECORDING 3

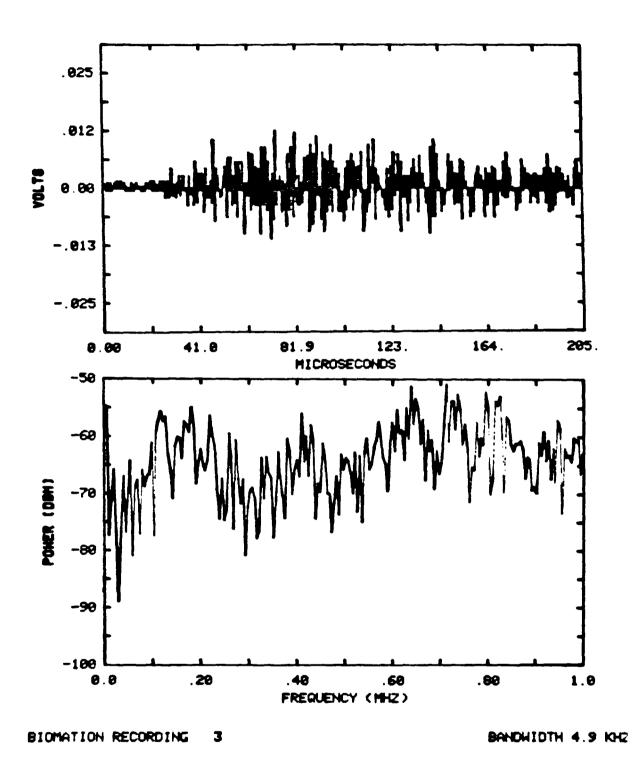
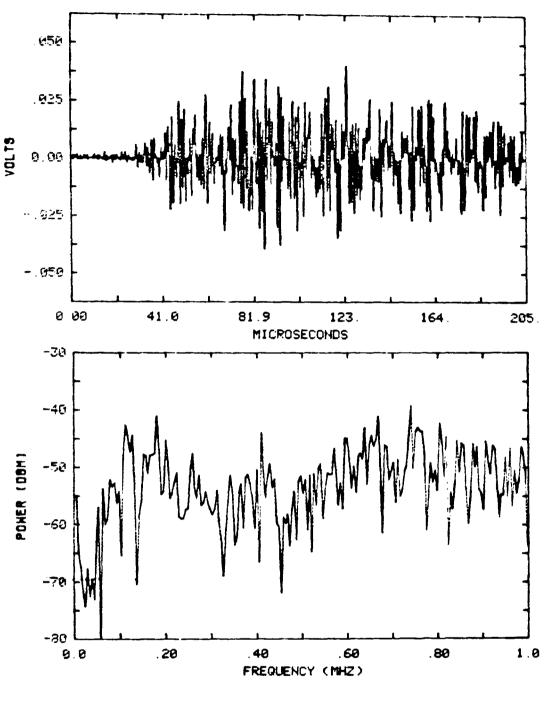


Figure 6.11. Time domain waveform and corresponding power spectrum obtained from 7039 aluminum stress corrosion cracking.

# 7039 SCC (K=31) BIOMATION RECORDING 54

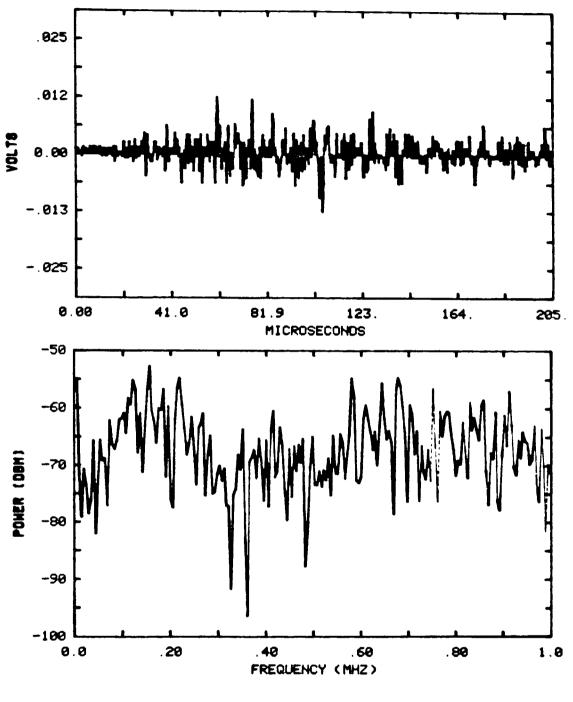


BIOMATION RECORDING 54

BANDWIDTH 4.9 KHZ

Figure 6.12. Time domain waveform and corresponding power spectrum obtained from 7039 aluminum stress corrosion cracking.

7039 SCC (K= 31) BIOMATION RECORDING 36



BIOMATION RECORDING 36

BANDWIDTH 4 9 KH7

Figure 6.13. Time domain waveform and corresponding power spectrum obtained from 7039 aluminum stress corrosion cracking.

root of the notch and then the saturated solution of sodium chloride was added. With the screw tightened to produce pop-in K was found to be 31 MPa $\sqrt{m}$ . Sixty acoustic emission signals were recorded over a 55 minute period while the crack grew approximately 2 mm. The trigger level for recording an acoustic emission signal from this material was 48  $\mu$ V referred to the transducer. Visual inspection revealed that 57 signals were useful. Examples of these signals in both the time and frequency domains are shown in Figures 6.11, 6.12 and 6.13.

Repetition of this experiment with a K level of 22 MPa $\sqrt{m}$  resulted in a data set of 67 useful acoustic emission signals gathered over a 90 minute period while the crack extended another 2 mm. The trigger level remained the same, 48  $\mu$ V referred to the transducer. These signals appeared very similar to those shown in in Figures 6.11, 6.12 and 6.13. The only distinguishing difference between the data gathered from the 7039 DCB specimen at a K value of 31 and a K value of 22 was that the amplitudes of the signals taken at a K value of 22 were generally smaller than those taken at a K value of 31.

To obtain data on a different failure mechanism a 7039 aluminum CT specimen having a 3.42 mm long pre-existing fatigue crack specimen was mounted in an Instron machine using specially designed clevises. Grip noise was minimized by using felt washers to separate the interior faces of the clevises from the specimen and the pins were liberally greased to prevent fretting. The cross-head speed was set at 83.8 microns per minute to allow ample time to record each acoustic emission and a clip-on gauge was used to record the crack opening displacement as a

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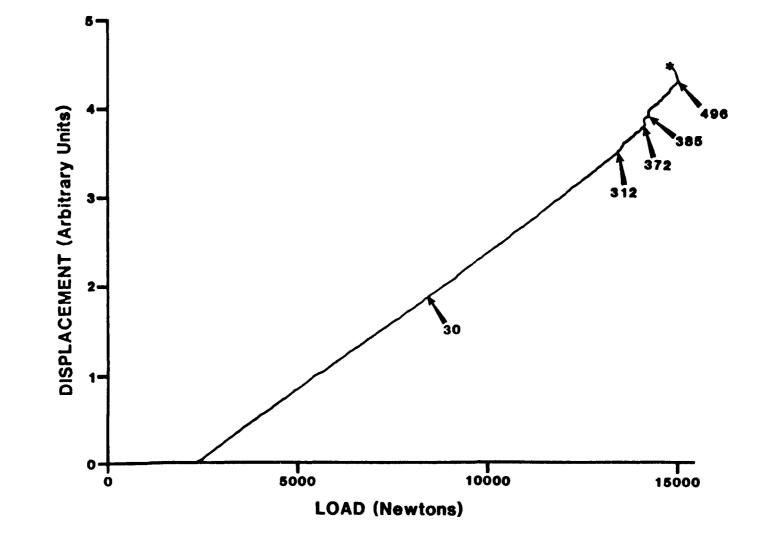
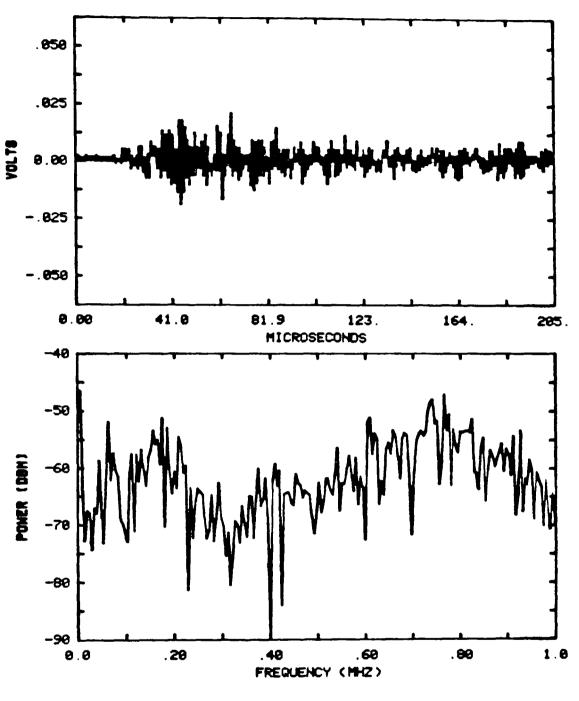


Figure 6.14. Displacement of 7039 CT specimen as a function of load showing waveform numbers of acoustic emissions recorded during the test.

7039 CT BIOMATION RECORDING 110

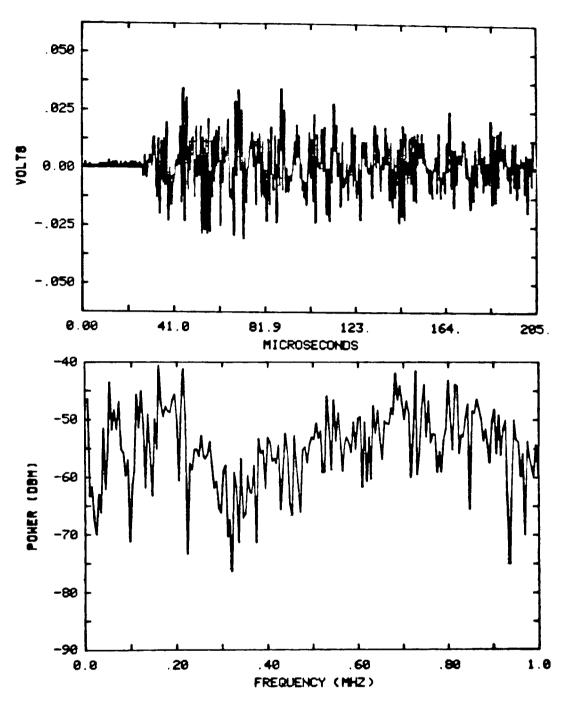


BIOMATION RECORDING 110

BANDHIDTH 4.9 KHZ

Figure 6.15. Time domain waveform and corresponding power spectrum obtained from 7039 aluminum tensile loading.

7039 CT BIOMATION RECORDING 404

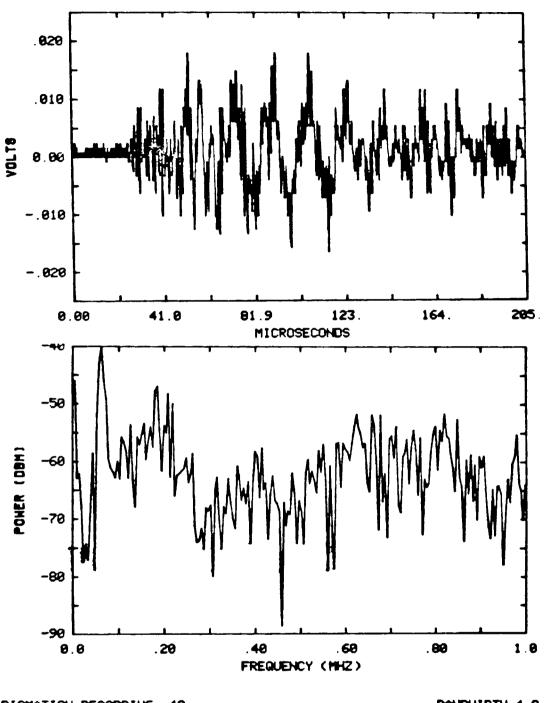


BIOMATION RECORDING 404

BANDHIDTH 4.9 KHZ

Figure 6.16. Time domain waveform and corresponding power spectrum obtained from 7039 aluminum tensile loading.

7039 CT BIOMATION RECORDING 48



BIOMATION RECORDING 48

BANDHIDTH 4.9 KHZ

Figure 6.17. Time domain waveform and corresponding power spectrum obtained from 7039 aluminum tensile loading.

function of tensile load. The output of the gauge, shown in Figure 6.14, provides an easy means of detecting pop-in and final failure. Annotation of the graph with the acoustic emission waveform numbers provides evidence that the acoustic emission came from tensile overload failure and not from crack interface rubbing during unloading. A total of 496 acoustic emission signals were recorded during the test, of which only 189 were found via visual inspection to be useful. The trigger level for recording an acoustic emission waveform during the test was 32  $\mu$ V referred to the transducer. Examples of good signals in both the time and frequency domains are shown in Figures 6.15, 6.16 and 6.17.

6.4 Data Analysis

Analysis of the acoustic emission signals recorded during the three experiments outlined in Section 6.3 was accomplished using the computer programs described in Section 5.2 and commenced with the examination of the time domain representation of each signal using program PLTME. The envelope of each signal was required to be free of clipping and to conform to the general shape of an initial quiet period followed by a short steep rise to a maximum value with an exponential decay after the peak. Acoustic emission signals from a particular experiment which met these two criteria had their waveform numbers saved in a disc file whose name was mnemonically related to the root experiment. Each file was then read by program AENOR, which created a frequency spectral data base for each experiment. Each data base was processed in turn using program PLFFT to produce a permanent record of the power spectrum of each

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accepted acoustic emission signal.

The operations described in the preceding paragraph produced 628 pairs of plots, 18 of which appear in Section 6.3. To analyze this vast amount of data it was decided to first produce bar charts for each experiment showing the relative occurrence of signals separated according to their raw (not normalized by use of the helium gas jet spectra for the particular test) spectral shape. The distribution classes were based on the relative heights of the two predominant spectral peaks and the presence or absence of either of the two peaks. Thus a continuous distribution of spectral shapes was transformed into the six categories shown in Figure 6.18. Figures 6.18, 6.19 and 6.20 depict the result of this classification. Clearly, each experiment produced a dominant spectral shape (see Figures 6.8, 6.11 and 6.15 for examples of these), a secondary spectral shape (see Figures 6.9, 6.12 and 6.16), as well as miscellaneous other spectral shapes (see Figures 6.10, 6.13 and 6.17). A general observation about all these spectral examples is that they have a bimodal appearance. This is no doubt due to the transducer response characteristics, a statement which is supported by Figure 3.6a which shows the magnitude velocity response spectrum produced by a transducer similar to that used in the present experiments when it was excited by a flat frequency input.

There are several possible reasons for the appearance of multiple spectral shapes during the course of a single experiment where only one basic fracture mechanism was operating. Crack length, since it changes the geometry of the specimen and thereby its normal resonant modes,

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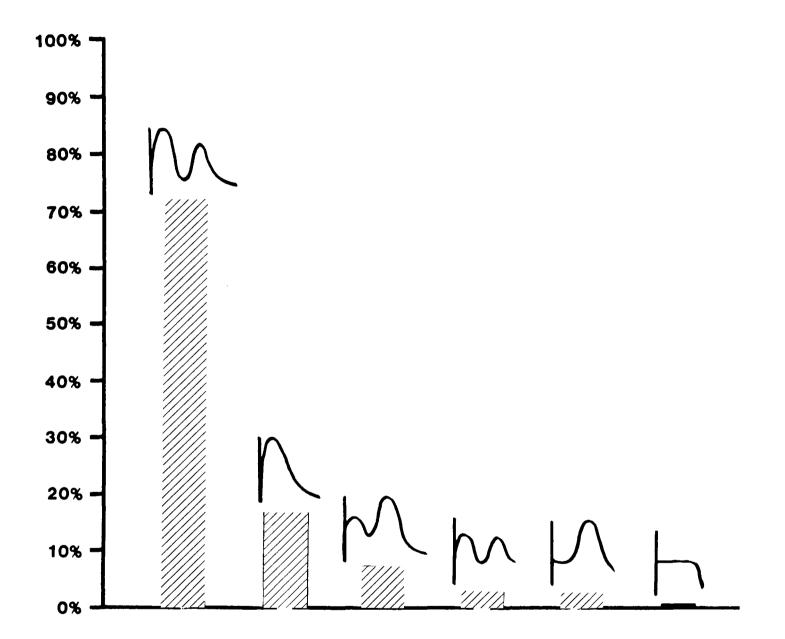


Figure 6.18. Classification of acoustic emission signals from 4340 DCB specimen according to their raw spectral shapes.

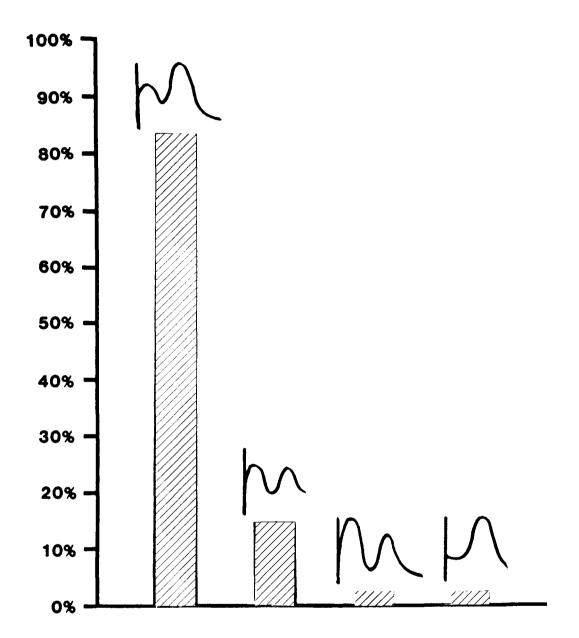


Figure 6.19. Classification of acoustic emission signals from 7039 DCB specimen according to their raw spectral shapes.

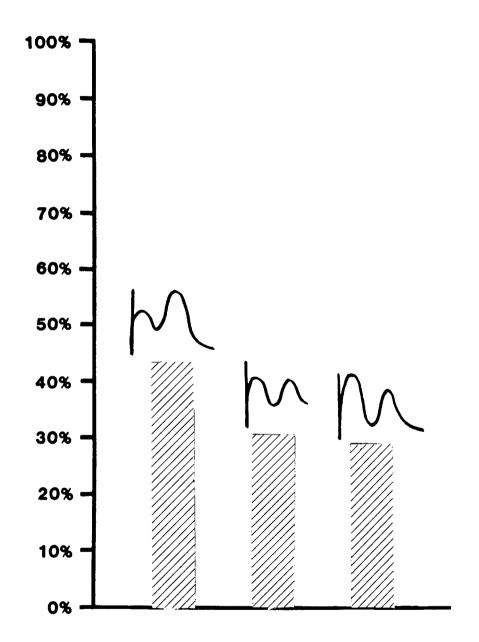


Figure 6.20. Classification of acoustic emission signals from 7039 CT specimen according to their raw spectral shapes.

offers an obvious explanation for the generation of different spectral shapes. However, a careful examination of the distribution of spectral types with test time revealed that no correlation could be made between spectral shape and crack length.

Another possibility for the spectral shape change mechanism is that waveform interference occurred at the transducer location, either because of multiple propagation paths from a single source or because of simultaneously operating sources. Destructive interference of shear waves traveling at 3 kilometers per second would occur at 750 kHz if a path difference which was an integral multiple of 2 mm existed, while at 250 kHz a basic path difference of 6 mm would be required. Constructive interference, on the other hand, would require a 4 mm basic path difference at 750 kHz, and 12 mm at 250 kHz. While these path differences are physically realizable in the specimens used, interference would not be capable of removing broad spectral peaks such as is documented in the changes between Figures 6.8 and 6.9, and Figures 6.8 and 6.10, but would instead create narrow peaks and valleys.

Still another explanation for the appearance of multiple spectral shapes during the course of an experiment where only one fracture mode was operative is that there may have been multiple acoustic emission source generation mechanisms. However, as was shown in Section 2.1 there are only two sources for acoustic emission when cracking occurs, namely, brittle particle fracture and discontinuous crack movement. The 4340 steel tested here contained no brittle second phase particles, only carbides having diameters of less than 0.1 microns. It is known that

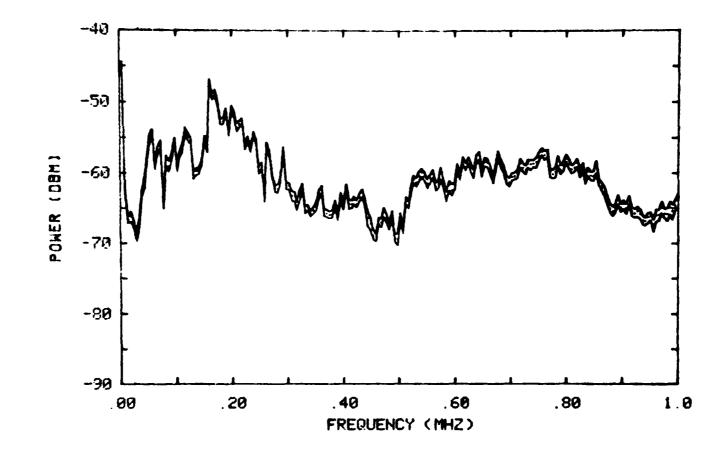
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carbides of this size do not generate detectable acoustic emission [Ref 102]. Since there were six different spectral classes observed during the experiment with this material, the hypothesis of multiple acoustic emission source mechanisms operating during one test must be incorrect.

The most likely explanation for the occurrence of multiple spectral shapes during the course of one experiment is that there was a variation in the speed of crack advancement or there was a variation in the amount of cracked area, or both. For example, if a constant crack advance rate of 100 mm per second were assumed, then a change in the predominant frequency of the acoustic emission waveform from 250 kHz to 750 kHz would occur if the diameter of the cracked area varied from 0.4 mm to 0.1 mm. A similar frequency shift would occur if a constant cracked area of 0.2 mm were assumed and the crack advance rate changed from 50 meters per second to 150 meters per second. The reason that this mechanism is the most plausible explanation for the existence of multiple spectral shapes is because variations in crack area and crack advance rates have been found to exist by Wadley and Scruby [Ref 103] and because the predominant frequency change in the acoustic emission waveform which would result would excite the two broad resonances in the detection transducer to differing degrees, causing an energy loss or gain over a wide frequency range such as actually occurred in Figures 6.8, 6.9 and 6.10

Because the spectral shape variations during the course of each experiment do not result from the operation of different acoustic emission sources but rather arise because of the geometry or the rate of

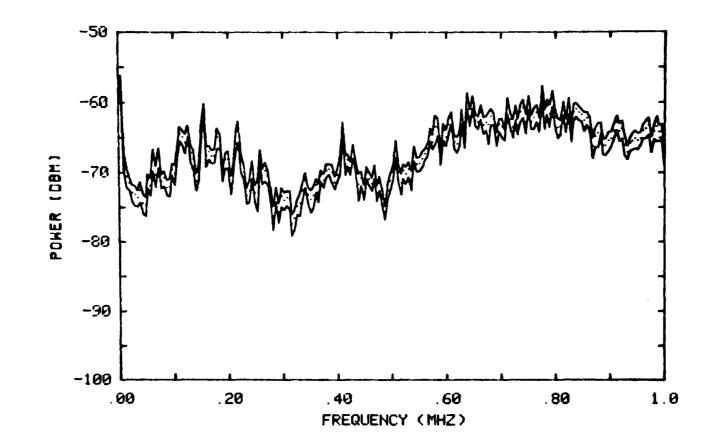
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# 4340 STEEL SCC EXPERIMENT 95% CONFIDENCE LIMITS

382 SPECTRA AVERAGED

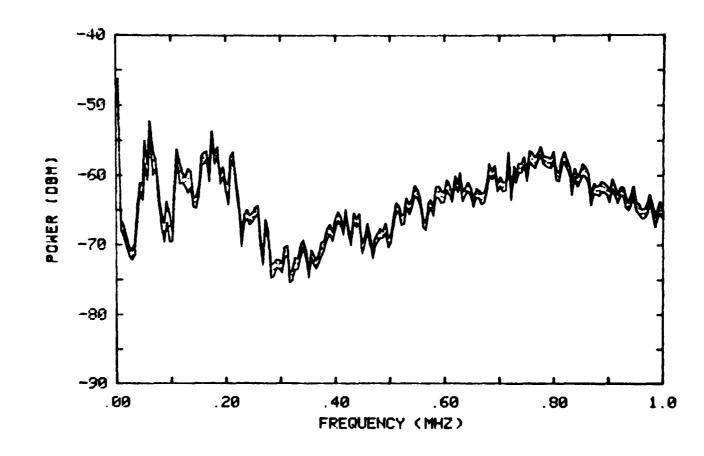
Figure 6.21. Average power spectrum for acoustic emissions emitted from 4340 steel undergoing stress corrosion cracking showing 95% confidence limits. There is no correction for system variables.



7039 SCC EXPERIMENT (K=31) 95% CONFIDENCE LIMITS

57 SPECTRA AVERAGED

Figure 6.22. Average power spectrum for acoustic emissions emitted from 7039 aluminum undergoing stress corrosion cracking showing 95% confidence limits. There is no correction for system variables.



7039 CT EXPERIMENT 95% CONFIDENCE LIMITS

189 SPECTRA AVERAGED

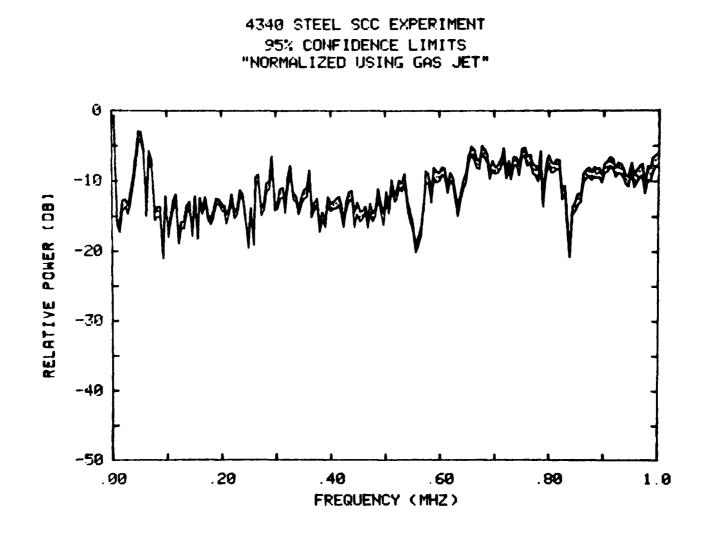
Figure 6.23. Average power spectrum for acoustic emissions emitted from 7039 aluminum undergoing tensile loading showing 95% confidence limits. There is no correction for system variables.

operation of a particular emitter, it was decided that averaging the power spectra would produce a valid spectral description of the failure of each specimen. Program AECNF was used for this purpose; in operation it averaged the power spectra in a particular experiment's data base after first normalizing each spectrum to unity energy. Confidence limits were then calculated for each frequency using the "t" statistic. The results for the three experiments are shown in Figures 6.21, 6.22 and 6.23. Comparison of these averages with the predominant spectral types of each corresponding experiment shown in Figures 6.8, 6.11 and 6.15, respectively, show that the averaging process did indeed produce a faithful summary spectrum for an entire test.

To allow a direct comparison of the information in Figures 6.21, 6.22 and 6.23, it was necessary to deconvolve them with their respective gas jets shown in Figures 6.5, 6.6 and 6.7. The results of these deconvolutions are shown in Figures 6.24, 6.25 and 6.26. Comparison of the deconvolved spectra reveals that a substantial difference exists between the acoustic emission output from steel undergoing stress corrosion cracking and the acoustic emission from aluminum undergoing either stress corrosion cracking or tensile overloading.

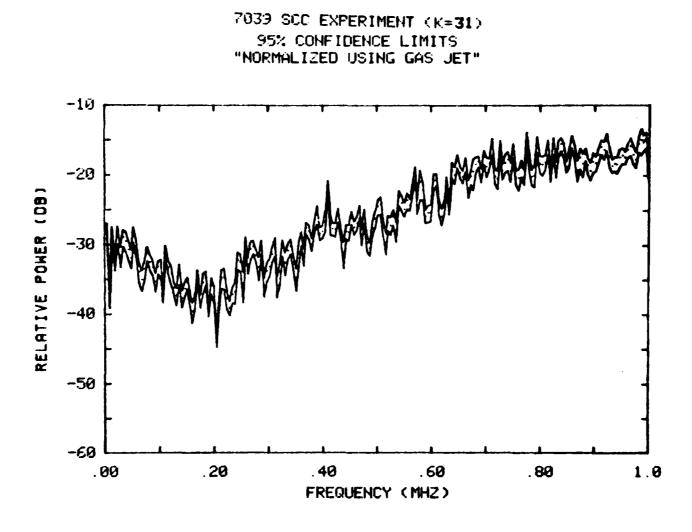
The inconsequential differences between the deconvolved spectral shapes for the aluminum samples was surprising, especially in view of the gross overall appearance differences which existed between the fracture surfaces of the 7039 SCC specimen and the 7039 CT specimen (see Figure 6.27). Note that the stress corrosion cracking specimen has the large smooth plates indicative of an intergranular fracture, while the

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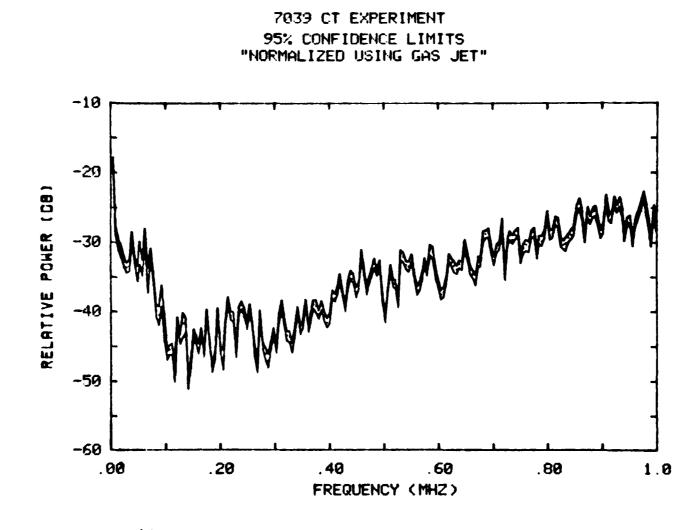
382 SPECTRA AVERAGED

Figure 6.24. Deconvolved average power spectrum for acoustic emissions emitted from 4340 steel undergoing stress corrosion cracking showing 95% confidence limits. System variable correction has been applied.



57 SPECTRA AVERAGED

Figure 6.25. Deconvolved average power spectrum for acoustic emissions emitted from 7039 aluminum undergoing stress corrosion cracking showing 95% confidence limits. System variable correction has been applied.



189 SPECTRA AVERAGED

Figure 6.26. Deconvolved average power spectrum for acoustic emissions emitted from 7039 aluminum undergoing tensile loading showing 95% confidence limits. System variable correction has been applied.

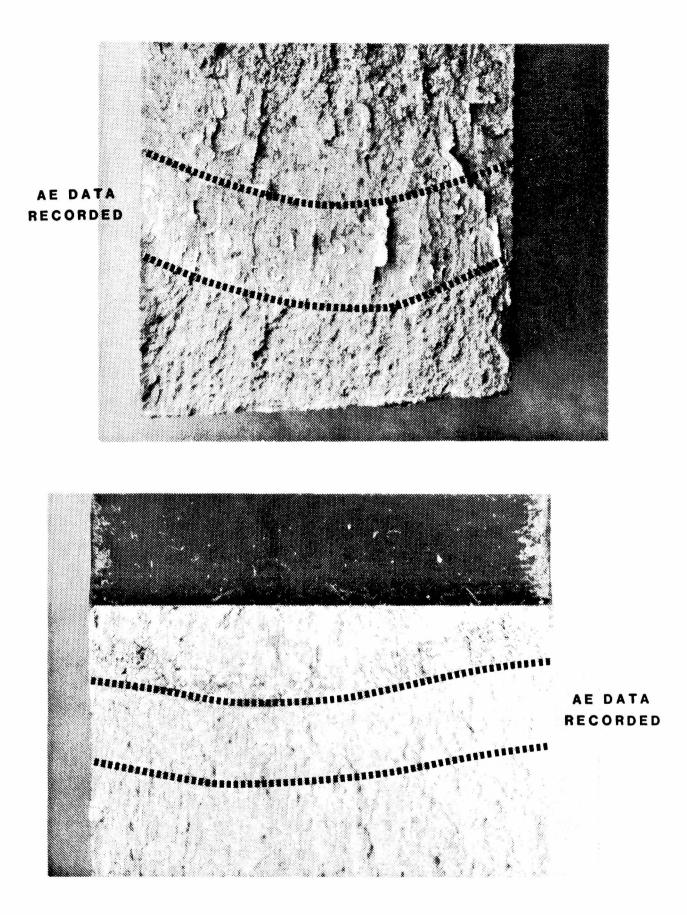


Figure 6.27. Fracture surface of 7039 DCB stress corrosion cracking specimen (top) contrasted with fracture surface of 7039 CT tensile loading specimen (bottom).

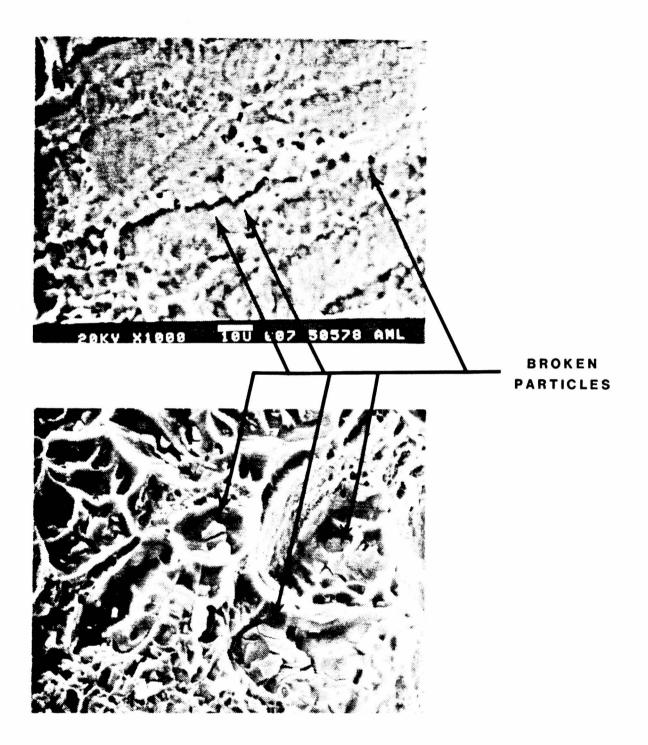


Figure 6.28. Scanning electron micrographs at 1000x magnification showing broken particles in both the 7039 DCB specimen (top) and the 7039 CT specimen (bottom).

tensile overload specimen shows the dimpled appearance characteristic of ductile fracture. It seemed almost inconceivable that two such dissimilar failures could produce the surprisingly similar spectra appearing in Figures 6.25 and 6.26, thus a series of scanning electron microscope photographs were taken of each fracture surface at increasingly higher magnifications. Careful examination of the aluminum sample micrographs made at a magnification of 1000 diameters revealed a common factor - fractured brittle particles (see Figure 6.28). Contrasting with this result, there were no brittle particles found in the micrographs of the 4340 steel (as expected).

It was shown in Section 2.1 that the source of acoustic emissions in metals which are fracturing is the discontinuous movement of cracks. This discontinuous motion arises either from the temporary stopping of a crack by a particle which then breaks as the localized stress increases, or by the slowing of a crack front due to a reduction in stress caused by the misalignment between the grain boundary the crack is following and the principle tensile axis. In the case of the 4340 steel specimen it is clear from the lack of brittle particles that the sole source of acoustic emission was the starting and stopping of the crack front as it followed grain boundaries. In the case of the aluminum alloys, the work of McBride, MacLachlan and Paradis described in Section 2.1 demonstrated that brittle particle fracture was the sole source of acoustic emission in 7075 aluminum. They were able to show that ductile fracture of 7075 aluminum which was not accompanied by particle fracture was completely silent. Combining their results with the data from the present experiments in 7039 aluminum where the ductile fracture of the CT

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specimen and the brittle fracture of the DCB specimen produced identically shaped spectra, the inescapable conclusion is that particle fracture was solely responsible for the acoustic emission generated by the fracture of 7039 aluminum.

From the data analysis presented in this section it can be concluded that it is possible to distinguish between individual failure processes occurring during the fracture of metals. As Figures 6.24, 6.25 and 6.26 show, the magnitude spectrum of fracture caused by the discontinuous movement of a crack front during the stress corrosion cracking of 4340 steel is radically different from the magnitude spectra of fracture in 7039 aluminum which was caused by brittle particle fracture during both tensile overloading and stress corrosion cracking.

A most significant result of these experiments is that they were achieved in engineering specimens in the presence of multiple reflections, both of which make the application of the generalized ray theory discussed in Section 2.2 impossible. This is not to say that the generalized ray theory is unnecessary for acoustic emission work, since it does offer the only means of quantitatively predicting the waveform at a specific site. However, the restrictions of having to work in simple geometries such as plates and also having to limit the receiver site to being less than six plate thicknesses away from the acoustic emission source limit the generalized ray theory to laboratory conditions. The experiments presented in this thesis show that it is possible to overcome these limitations and still differentiate between various acoustic emission sources by using appropriate signal

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processing.

The shortcoming of the processing techniques developed in this thesis is that they could not identify the acoustic emission source associated with each individual signal because of the large variability between signals obtained during a single test. However, because the feasibility of discriminating between signals emitted by different source mechanisms has now been firmly established, the task of developing techniques for associating a source with an individual signal can be undertaken with the confidence that there are indentifying characteristics to be found. This is of extreme importance because the magnitude of the data processing required means that such an undertaking will be very expensive.

A suggestion for researchers interested in developing such a technology is to utilize the approach being followed by experimenters in the area of speech analysis. At the present large computer software packages are becoming available which will perform interactive data processing using a variety of pattern recognition techniques. With a simple frequency translation such packages could probably be utilized very effectively in acoustic emission source identification research.

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### CHAPTER 7

## SUMMATION

This chapter summarizes the thesis, which consists of a literature review of the field of acoustic emission, necessary theoretical development relevant to acoustic emission monitoring, acoustic emission calibration techniques, digital signal processing, instrumentation construction, software development and experimental verification of acoustic emission signal identification.

7.1 General

The intent of this thesis was to extend the technology of acoustic emission by developing methods for discriminating between acoustic emission signals to make possible the identification of the material processes which caused the received acoustic emissions. This technology extension is important because it would make economically feasible continuous defect monitoring in important structures to prevent their catastrophic failure. Acoustic emission signal discrimination would accomplish such a goal by permitting commonly occurring inconsequential acoustic emission sources to be differentiated from rarely occurring dangerous acoustic emission sources, thus eliminating costly service

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interruptions and unnecessary additional inspections using other nondestructive testing techniques.

A historical review of the phenomenon of acoustic emission was given revealing that although many practical nondestructive testing needs in materials research and structural integrity verification were already being satisfied through the use of acoustic emission monitoring, there were still significant limitations to the applicability of the technique because of the lack of a capability for acoustic emission signal source identification.

In the theoretical development, specific sources of acoustic emission in metals were discussed. It was shown that cooperative discontinuous dislocation motion could create detectable acoustic emission, but the fracture of brittle particles and the discontinuous movement of cracks were also found to be important sources of acoustic emission. A seismological concept known as the theory of the generalized ray was presented which enabled stress waveform predictions to be made for various source force functions. Experimental evidence was given to show that the theory could successfully predict acoustic emission waveforms occurring in plates when appropriate source force models were used, as long as the waveform was detected not more than six plate thicknesses away from epicenter. It was therefore concluded that although the theory is important for acoustic emission research, it is too restricted to be generally applied on real structures.

The minimum surface displacement detectable using capacitive and piezoelectric transducers was calculated using theoretical analyses of

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the operating principles of both types of transducers. This calculation showed that piezoelectric transducers provide maximum displacement sensitivity, while capacitive transducers offer a displacement response which is independent of frequency. The effects which material properties and specimen geometry have on the propagation of acoustic emission were discussed. The concepts of geometrical spreading, absorption, scattering, mode conversion and dispersion were covered and experimental evidence was presented to show that predictions of these effects could be made so as to facilitate the analysis of acoustic emission signals.

Experiments were reviewed which showed that the helium gas jet calibration technique used in the thesis studies provides a geometry independent calibration by characterizing the entire acoustic system of specimen, couplant and transducer. The basic assumptions which are made to obtain a calibration of a transducer were outlined and the procedures used for reciprocity calibration and comparison calibration were explained. For the calibration of acoustic emission transducers it was shown that comparison calibration was preferable to reciprocity calibration because the theory of the generalized ray provides a convenient means of checking the validity of comparison calibration while the reciprocity calibration involves the use of a non-verifiable assumption. Amplitude and phase spectral calibration curves obtained during a comparison calibration on a transducer similar to that used in the experiments in this thesis were shown.

The fast Fourier transform computer program used in this thesis was

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explained and the theory of Fourier spectral analysis was discussed. A method for approximating a Fourier transform that is usable with non-analytic time-limited signals was described. Special considerations required when signals are digitally processed were explained. The errors and noise introduced by analog to digital conversion were described and the concepts of aliasing and leakage were introduced. Practical methods for preventing or at least minimizing both aliasing and leakage were given.

The acoustic emission data acquisition system assembled for this study was described. Special features include such items as extremely wideband preamplifiers, band limited arrival sequence and timing circuits, wideband first arrival signal digital waveform recording on magnetic tape, comprehensive error detection logic, an optimal valid data reset detector and modem transmission of individual acoustic emission event location, energy and load parameters to a remote computer. The constructed instrument is unique because it makes possible for the first time the acquisition of information necessary for signal source identification while simultaneously permitting real-time source location on dispersive structures and because it allowed such activities to occur in environments hostile to computer operation.

The computer programs written to process the digital acoustic emission waveforms were described. The routines produce time domain digital plots of the recorded acoustic emissions, plot calibrated power spectra for validated signals, calculate a representative power spectral shape for an experiment complete with confidence limits and enable the

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experimenter to create a processed data base for archival purposes. A unique feature of the programs is that they possess the capability to use helium gas jet system calibration data to correct for the effects of changing specimen geometry, different couplant thickness and transducer aging, thus producing experiment invariant results. Other features of the programs are that the original experimental conditions are preserved in the processed data base and that the power spectra produced are identical to those produced using conventional less versatile analog instrumentation. The technology of acoustic emission was advanced by these programs since for the first time it was possible to analyze acoustic emission source waveforms with sufficient confidence to determine if differences were present between experiments in which different materials processes were operative.

A series of experiments were conducted to determine if different acoustic emission sources could be identified by their emitted signals. The experiments involved two different materials, two different failure processes and three different specimen geometries. Experiment invariant results were obtained via the use of the helium gas jet system calibration data and the programs described above. Two spectral shapes which were dramatically different at the 95% confidence level resulted from this processing and it was concluded that one spectral shape was due to the fracture of brittle particles while the other was due to the discontinuous movement of a crack. The new data acquisition methods and signal processing techniques developed in the thesis were thus proven to be effective for their intended purpose of identifying the material processes which caused the received acoustic emission signals.

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# 7.2 Observations

A review of the literature and an analysis of the data contained therein yielded the following important observations:

- 1. Discontinuous crack movement and the fracture of brittle particles are important sources of acoustic emission in metals.
- 2. A general model for the prediction of stress waveforms resulting from the action of various internal force functions inside plates exists and is applicable to a distance of six plate thicknesses from epicenter.
- 3. The effects of material and geometry on the propagation of acoustic emission signals are well understood.
- 4. Piezoelectric transducers provide the most displacement sensitivity for acoustic emission work, but their frequency response is complicated and difficult to determine analytically.
- 5. Capacitive transducers provide a flat displacement response necessary for calibration work, but they are two orders of magnitude less sensitive to displacement than piezoelectric transducers.
- 6. The most useful form of calibration for acoustic emission transducers is comparison to a capacitive transducer because it results in an independently verifiable calibration traceable to physical quantities.

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## 7.3 Conclusions

The following conclusions can be drawn from the work contained in this thesis:

- The helium gas jet provides a convenient means of obtaining quantitative acoustic emission spectra independent of system variables such as specimen geometry, couplant thickness and transducer response changes.
- 2. Digital processing of signals provides analytical flexibility not possible using analog techniques.
- 3. Digital techniques can be used on non-analytic time-limited signals to quickly and economically produce power spectra which are identical to those produced using less flexible analog instruments.
- 4. Spectral shapes of acoustic emissions contain sufficient information to allow discrimination between different material failure processes, e.g., brittle particle fracture and discontinuous crack movement.
- 5. Particle fracture was the sole source of acoustic emission detected from the failure of 7039 aluminum specimens tested in this thesis, extending the observations of others who worked with 7075 aluminum.

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- 6. Discontinuous crack motion was the sole source of acoustic emission detected from the failure of 4340 steel specimens tested in this thesis.
- 7. Acoustic emission signal source identification can be performed in engineering structures where multiple reflections and complex geometry preclude the use of analytic techniques such as the theory of the generalized ray.

### APPENDIX A

## FAST FOURIER TRANSFORM THEORY

As was described in Section 4.2, the fast Fourier transform is a name given to a class of algorithms which implement the discrete Fourier transform (see Equations 4.9 and 4.10). By taking advantage of certain periodicities and symmetries in these equations, they obtain an appreciable advantage in calculation speed over direct computation of the discrete Fourier transform (see Figure 4.9). To understand how the speed advantage of the fast Fourier transform is obtained, it is instructive to examine the algorithm made famous by Cooley and Tukey [Ref 104] using an explanation devised by Brigham [Ref 90]. First, the discrete Fourier transform is re-written as:

$$X(n) = \sum_{k=0}^{N-1} x_{0}(k) W^{kn}$$
 (A.1)

For the fast Fourier transform procedure to work, N must be chosen to be a power of some number. If the number is 2 the resulting algorithm is known as a radix 2 transform, if it is 4 it becomes a radix 4 transform. For convenience let N =  $2^{\gamma}$  and choose  $\gamma = 2$ , then (A.1) can be written as:

$$\begin{bmatrix} X(o) \\ X(1) \\ X(2) \\ X(3) \end{bmatrix} = \begin{bmatrix} W^{\circ} & W^{\circ} & W^{\circ} & W^{\circ} \\ W^{\circ} & W^{1} & W^{2} & W^{3} \\ W^{\circ} & W^{2} & W^{4} & W^{6} \\ W^{\circ} & W^{3} & W^{6} & W^{9} \end{bmatrix} \begin{bmatrix} x_{o}(o) \\ x_{o}(1) \\ x_{o}(2) \\ x_{o}(3) \end{bmatrix}$$
(A.2)

The first key toward gaining computation speed is to recognize that  $W^{nk} = W^{nk \mod(N)}$ , thus (A.2) becomes:

$$\begin{bmatrix} X(o) \\ X(1) \\ X(2) \\ X(3) \end{bmatrix} = \begin{bmatrix} 1 & 1 & 1 & 1 \\ 1 & w^{1} & w^{2} & w^{3} \\ 1 & w^{2} & w^{o} & w^{2} \\ 1 & w^{3} & w^{2} & w^{1} \end{bmatrix} \begin{bmatrix} x_{o}(o) \\ x_{o}(1) \\ x_{o}(2) \\ X_{o}(3) \end{bmatrix}$$
(A.3)

The second key in increasing speed is to factor (A.3) to obtain:

$$\begin{bmatrix} X(0) \\ X(2) \\ X(1) \\ X(3) \end{bmatrix} = \begin{bmatrix} 1 & W^{\circ} & 0 & 0 \\ 1 & W^{2} & 0 & 0 \\ 0 & 0 & 1 & W^{1} \\ 0 & 0 & 1 & W^{3} \end{bmatrix} \begin{bmatrix} 1 & 0 & W^{\circ} & 0 \\ 0 & 1 & 0 & W^{\circ} \\ 1 & 0 & W^{2} & 0 \\ 0 & 1 & 0 & W^{2} \end{bmatrix} \begin{bmatrix} x_{o}(0) \\ x_{o}(1) \\ x_{o}(2) \\ x_{o}(3) \end{bmatrix}$$
(A.4)

Note that rows 1 and 2 have been interchanged in deriving (A.4), and notice also the large number of zeros which appear in (A.4). It is the introduction of these zeros and also the fact that  $W^0 = -W^2$  and  $W^1 = -W^3$ which markedly increase the computation speed, since some operations can be completely eliminated and some multiplications can be replaced with additions, which can be performed much faster than multiplication. The fast Fourier transform is thus based on a procedure which factors a N x N matrix into  $\gamma$  matrices (each N x N) such that each of the factored matrices has the special property of minimizing the number of complex multiplications and additions. As  $\gamma$  becomes large, factored matrix equations such as (A.4) become unwieldy, thus it is common practice to represent the computations required for calculating the frequency components in a signal flow graph. Figure A.1 shows the signal flow graph for N = 4, and thus represents Equation (A.4). To interpret this graph it is necessary to recognize that each node is entered by two transmission paths (the arrows) from previous nodes. The data at each node is calculated by multiplying the data from each applicable previous node by the factor (if any) appearing at the head of the arrow of the respective transmission path and summing the two results. For example, consider node  $x_1(2)$  in Figure A.1. This node has the value of  $x_0(0) + W^2 x_0(2)$ .

Besides conciseness, the reason for expressing the fast Fourier transform calculations in a signal flow graph is that when the operations can be seen certain symmetries become apparent, which can then be exploited to develop an algorithm. One such symmetry, called a dual node pair, can be seen by examining  $x_1(0)$  and  $x_1(2)$  in Figure A.1. It is apparent that these two nodes use the same data inputs,  $x_0(0)$  and  $x_0(2)$ , and since the inputs do not get used in any other computations it is possible to simultaneously compute  $x_1(0)$  and  $x_0(2)$ .

The identification of dual nodes is important not only for optimizing storage during computation, but also because it is only necessary to perform one multiplication in determining the value of a dual node pair. This is because the weighting factors of a dual node pair are related, and in particular, if the weighting factor at one node

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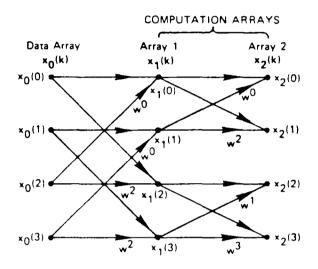


Figure A.1. Representation of Equation A.4 in a signal flow graph [Ref 90].

is  $W^P$  then the weighting factor at the dual node will be  $W^{P+N/2}$ , and  $W^P = -W^{P+N/2}$ . Since the vertical spacing of a dual node pair is given by  $N/2^l$  where l is the index of the computation array, the calculation of any dual node pair is given by:

$$x_{l}(k) = x_{l-1}(k) + W^{P} x_{l-1}(k + N/2l)$$

$$x_{l}(k + N/2l) = x_{l-1}(k) + W^{P} x_{l-1}(k + N/2l)$$
(A.5)

Equation (A.5) is the crux of the fast Fourier transform algorithm, since it eliminates the need to multiply in half of any computation array. This is illustrated in Figure A.2, which shows a signal flow graph for N = 16, and the areas in the computation arrays where multiplication can be skipped by using (A.5)

Application of Equation (A.5) in an algorithm requires that a means of calculating W<sup>P</sup> be found. Examination of Figure A.2 reveals that p can be calculated by writing the k index in binary using  $\gamma$  bits, shifting this number  $\gamma - i$  bits to the right followed by zero filling the  $\gamma - i$  high order bits, and then reversing the order of the bits in the result. For example, consider node  $x_3(8)$  in Figure A.2.  $\gamma = 4$ , k = 8and i = 3, so k is 1000 in binary.  $\gamma - i = 1$ , so the shifted and filled number is 0100. Reversing the bit order yields 0010, or 2 in decimal notation, which is exactly the value shown for p in Figure A.2. Equation (A.5) can now be used to calculate all of the values for the dual nodes in Figure A.2, which means that the input time domain data can be transformed into frequency components in an efficient manner. It is necessary to realize that the frequency components will be scrambled, as was shown in Equation (A.4), but they can easily be unscrambled by

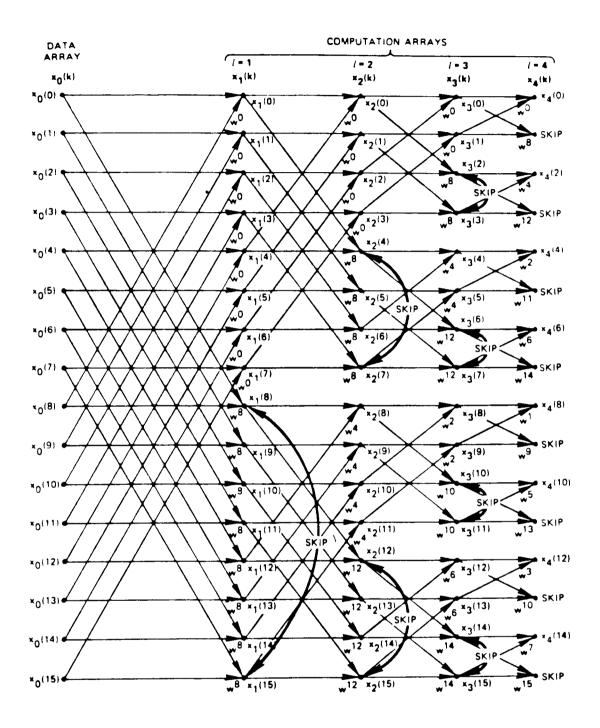


Figure A.2. Computations which may be skipped by means of dual node recognition [Ref 90].

simply reversing the bit order of their k indices.

An algorithm embodying concepts such as in-place calculation. calculation of (A.5), skipping of redundant dual nodes and output unscrambling is shown in Figure A.3 in flow chart form. Box 1 describes the input data required, while Box 2 initializes some variables used during computation. Box 3 checks for completion of the / array calculations, and if calculations remain to be done Box 4 sets a counter which monitors the number of dual nodes that have been encountered. Box 5 calculates the value of p that is needed, which Box 6 uses to perform the computation of Equation (A.5). The index k is incremented by Box 7, and the condition in Box 8 determines if a dual node skip is required. If a skip is not required, Box 9 increments the dual node counter. If a skip is required, Box 10 determines the number of nodes to skip. Box 11 then checks to see if all of the dual nodes in an *i* array have been calculated, and branches accordingly. If a new value of / is required, Box 12 initializes the variables needed and the process repeats. When all 1 arrays are computed the results are unscrambled, which starts by bit reversing k in Box 13 using the procedure outlined in Box 18. Boxes 14 and 15 place the unscrambled data in ascending order, and Box 16 determines when the process is complete.

With the flow chart of Figure A.3 developed it is simple to write a computer program to implement the algorithm for the fast Fourier transform. Such a program is shown in Figure A.4, and constitutes what is generally known as a radix 2 Cooley-Tukey fast Fourier transform. It should be noted that Figure A.4 is somewhat inefficient because the

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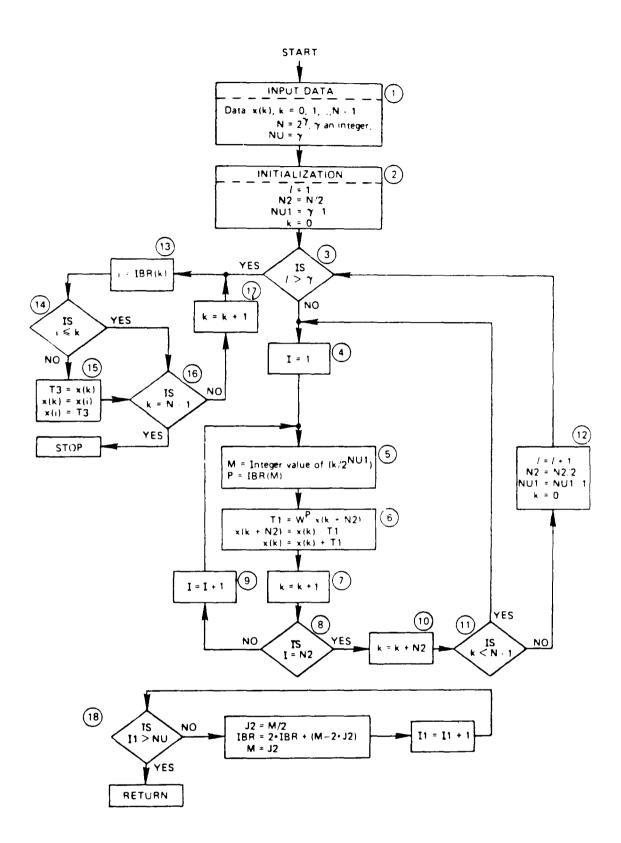


Figure A.3. Fast Fourier transform flow chart [Ref 90].

```
SUBROUTINE FFT(XREAL,XIMAG,N,NU)
       DIMENSION XREAL(N), XIMAG(N)
       N2 = N/2
       NU1 = NU-1
       K = Ø
       DO 100 L=1,NU
102
       DO 101 I=1,N2
       P=IBITR(K/2**NU1,NU)
       ARG=6.283185+P/FLOAT(N)
       C = COS(ARG)
       S = SIN(ARG)
       K1 = K + 1
       K1N2 = K1 + N2
       TREAL=XREAL(K1N2)+C+XIMAG(K1N2)+S
       TIMAG=XIMAG(K1N2)+C-XREAL(K1N2)+S
       XREAL(K1N2)=XREAL(K1)-TREAL
       XIMAG(K1N2)=XIMAG(K1)-TIMAG
       XREAL(K1) = XREAL(K1) + TREAL
       XIMAG(K1)=XIMAG(K1)+TIMAG
101
     K = K + 1
       K = K + N2
      IF(K.LT.N) GO TO 102
       K = 0
       NU1 = NU1 - 1
100
      N2 = N2/2
       DO 103 K=1,N
      I=IBITR(K-1,NU)+1
      IF(I.LE.K) GO TO 103
      TREAL=XREAL(K)
      TIMAG=XIMAG(K)
      XREAL(K) = XREAL(I)
      XIMAG(K) = XIMAG(I)
      XREAL(I)=TREAL
      XIMAG(I)=TIMAG
103
      CONTINUE
      RETURN
      END
      FUNCTION IBITR(J,NU)
      J1 = J
      IBITR=Ø
      DO 200 I=1,NU
      J2 = J1/2
      IBITR = IBITR * 2 + (J1 - 2 * J2)
200
      J1 = J2
      RETURN
      END
```

Figure A.4. Computer program in FORTRAN which results from flow chart of Figure A.3 [Ref 90].

array XIMAG must be set to zero when time domain data is placed into XREAL and thus some unnecessary calculations are performed. For this reason and others which are given in Section 4.2, another computer program was used to perform the spectral analysis in this thesis.

## APPENDIX B

## COMPUTER PROGRAM SOURCE CODE

The source code for the computer programs written for this thesis (whose operations are completely described in Chapter 5) appear on the following pages:

ROUTIN	<u>E</u>																							-	PAGE
MSCD	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	219
PLOT	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	228
SYMB	•	•	•	•	•	•	•	•	٠	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	244
PLTME	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	261
JSHFT	•	٠	•	•	•	•	•	•	•	•	•	•	•	٠	•	•	•	•	•	•	•	•	•	•	268
AENOR	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	269
FOUR2	•	•	•	•	•	•	•	•	•	•	•	•	•	٠	•	•	•	•	•	•	•	•	•	•	274
GASJT	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	282
PLFFT	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	٠	•	285
AECNF	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	٠	•	•	•	291
DBSVR	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	•	298

0001 LOGIC FOR AE DATA ACQUISITION HARDWARE NAM MSCD 0002 \* 0003 \* CONTROLS A M6800 MICROPROCESSOR TO COLLECT AND TRANSMIT VALID 0004 \* AE DATA TO A REMOTE COMPUTER. RECORDS WIDEBAND AE ON TAPE. 0005 \* PERMITS REMOTE RETRIEVAL OF RECORDED WIDEBAND AE FROM TAPE. 0006 ¥ 0007 SPC 1 0008 \* WRITTEN BY JOHN CARLYLE (21 SEP 78) 0009 SPC 1 0010 \* REVISION DATE: 11 MAY 1981 0011 SPC 1 0012 ORG \$8000 0013 BEGIN SEI SET INTERRUPT MASK 0014 LDS #\$7F STACK PNTR TO TOP OF RAM 0015 SPC 1 0016 \* INITIALIZE PIA #1 (MSCD INPUT) 0017 SPC 1 LDA A #\$16 GET "CAB2 IN, LO TO HI, NO IRQ" CODE STA A CRA1 SET DRA TO INPUT STA A CRB1 SET DRB TO INPUT 0018 0019 0020 0021 SPC 1 0022 \* INITIALIZE PIA #2 (CONTROL PANEL AND MSCD CONTROL) 0023 SPC 1 0024 LDA A #\$2E GET "CAB2 OUT, LO TO HI, NO IRQ" CODE 0025 STA A CRA2 SET DRA TO INPUT COM DRB2SET DATA DIRECTION REG B TO OUTPUTSTA A CRB2SET DRB TO OUTPUT 0026 0027 0028 SPC 1 0029 \* INITIALIZE PIA #3 (KENNEDY INPUT AND DATACAP CONTROL) 0030 SPC 1 0031 LDA A #\$2C GET "CAB2 OUT, HI TO LO, IRQ" CODE STA A CRA3SET DRA TO INPUTCOM DRB3SET DATA DIRECTION REG B TO OUTPUTSTA A CRB3SET DRB TO OUTPUT 0032 0033 0034 0035 SPC 1 0036 # INITIALIZE PIA #4 (KENNEDY STATUS AND CONTROL) 0037 SPC 1 LDA A #\$2E GET "CAB2 OUT, LO TO HI, NO IRQ" CODE STA A CRA4 SET DRA TO INPUT COM DRB4 SET DATA DIRECTION REG B TO OUTPUT 0038 0039 0040 0041 STA A CRB4 SET DRB TO OUTPUT 0042 SPC 1 0043 \* INITIALIZE ACIA 0044 SPC 1 LDA A #\$83 GET "MASTER RESET, ENABLE RCVE IRQ" CODE 0045 0046 STA A CRSAC SEND TO ACIA LDA A #\$55 GET "RTS, 8-WDS, NO PAR, 1 STOP, /16" CODE 0047 STA A CRSAC SEND TO ACIA 0048 JSR CLR INITIALIZE COMMANDS, SYNC BUFFER AND FLAGS 0049

0050	JI	MP CMD	GO CHECK FOR COMMANDS
0051		PC 1	
0052	CONS:	TANTS FOR PI	A'S AND ACIA
0053	S	PC 1	
0054	DRA1 E	QU 4004H	
0055		QU 4005H	
0056		QU 4006H	
0057		QU 4007H	
0058		QU 4008H	
0059		QU 4009H	
0060		QU 400AH	
0061		QU 400BH	
0062	-	QU 4010H	
0063	-	QU 4011H	
0064		QU 4012H	
0065		QU 4013H	
0066 0067		QU 4020H	
0068		QU 4021H QU 4022H	
0069		QU 4023H	
0070		QU 4040H	
0071		QU 4041H	
0072		QU 003DH	
0073		QU 003EH	
0074		QU 003FH	
0075	SYNC E	QU 0043H	
0076	TAG E	QU 005AH	
0077	S	SPC 1	
0078		EM RESET SUB	ROUTINE
0079		SPC 1	
0080		RG \$805B	
			REWIND AND READ SELECT TRANSPORT
0082			GET 1'S FOR MSCD SYNC WORD
0083		TX SYNC	STORE FOR LATER USE
0084			CLEAR KENNEDY COMMANDS
			CLEAR "NOT XFR AND WRITE DATA" COMMANDS
0086 0087			CLEAR "BIT 0, BIT 1 AND NOT MRST" COMMANDS
0087			CLEAR "REOR" FLAG CLEAR "XFRC" FLAG
0089			CLEAR MSCD FLAGS
00090		TS	RETURN
0090		SPC 1	REIGRN
0092			SELECT SUBROUTINE
0093		PC 1	
			GET "REWIND" CODE
0095		STA A DRB4	
0096			CLEAR "REWIND" COMMAND
			CHECK KENNEDY STATUS
0098			LOAD POINT REACHED?
-			

0101 0102 0103 0104 0105	RTS SPC 1 * ACIA OUTPUT SUBR	STORE FOR MODEM OUTPUT GO SEND IT RETURN
0106	•	
0107	ACRDY LDA A CRSAC	
		TRANSMISSION BUFFER EMPTY?
0109		NO, WAIT IN LOOP
	LDA A OUTAC	
0111		OUTPUT DATA TO MODEM
0112		RETURN
-	SPC 1	N ODOWION
	COMMAND DETECTIO	N SECTION
0115 0116	SPC 1	
		CLEAR "PREMATURE RETURN" TRAP
0117		CLEAR "SKIP" TRAP CHECK CONTROL PANEL INPUTS
	AND A #\$3F	
0120		YES, GO DECODE COMMAND
		NO, CHECK ACIA STATUS
	AND A $#$ \$01	
0123	•	YES, GO DECODE IT
-		NO, WAIT IN LOOP
0125		,
	* MANUAL COMMAND D	ECODING SECTION
0127		
0128	MDCDE STA A CMDBF	SAVE COMMAND
		GET CONTROL PANEL INPUTS
0130	AND A #\$3F	BUTTON RELEASED?
0131	BNE BUTTN	NO, WAIT IN LOOP
0132	LDA A #\$80	YES, GET DELAY TIME VALUE
0133		GO DELAY
0134		GET COMMAND AGAIN
0135	•	REWIND COMMAND?
0136		YES, DO IT
0137	-	NO, SKIP COMMAND?
0138		YES, DO IT
0139	•	NO, READ COMMAND?
0140	-	•
0141	CMP A #\$08	NO, RE-READ COMMAND?
0142 0143	-	YES, DO IT NO, SET FOR RECORD?
0143	BEQ JREC	YES, DO IT
0144		NO, WRITE EOF?
0145	•	YES, DO IT
0140		FALSE INPUT, LOOP
	···· ···	

0148		SPC		
				D DECODING SECTION
0150		SPC		
0151	ADCDE			GET COMMAND
0152		CMP	A #\$96	REWIND COMMAND?
0153		BEQ	JRWD	YES, DO IT
0154		CMP	A #\$A6	NO. SKIP COMMAND?
0155		BEQ	JSKP	YES, DO IT
0156		CMP	A <b>#\$9</b> 9	YES, DO IT NO, READ COMMAND?
0157				YES, DO IT
0158		CMP	A #\$5A	NO, RE-READ COMMAND?
				YES, DO IT
				NO, SET FOR RECORD?
0161				YES, DO IT
		CMP	A <b>#\$</b> 6A	NO, WRITE EOF?
				YES, DO IT
0164				FALSE INPUT, LOOP
			1	
			JUMPS	
0168	JRWD	JSR	SYRST	REWIND AND SELECT READ MODE
0169		JMP	CMD	REWIND AND SELECT READ MODE RETURN TO COMMAND DETECTION
				GO SKIP A RECORD
0171	JREAD	JMP	READ	GO READ A RECORD
0172	JRRED	JMP	RREAD	GO RE-READ A RECORD
0173	JREC	JMP	WRITE	REWIND AND SELECT WRITE MODE
0174	JEOF	JMP	EOF	GO WRITE END-OF-FILE
0175		SPC	1	
			SUBROUTINE	
0177		SPC	1	
0178	DLY	STA	A DELAY	SAVE TIME VALUE
0179	LOOP2	LDA	A ∦\$FF	INITIALIZE COUNT DECREMENT COUNT
0180	LOOP1	DEC	Α	DECREMENT COUNT
0181		BNE	LOOP1	COUNT DONE?
0182		DEC	DELAY	YES, DECREMENT VALUE
0183		BNE	LOOP2	TIME VALUE GONE?
0184		RTS		YES, RETURN FROM DELAY
0185		SPC	1	
0186	* RE(	CORD	MSCD AND	WAVEFORM DATA SECTION
0187		SPC	1	
0188	WRITE	JSR	CLRP	CLEAR PIA COMMANDS AND FLAGS
0189		JSR	REWWS	REWIND TAPE AND SELECT WRITE
0190				GET "ENABLE MSCD" CODE
0191				ENABLE MSCD
-				GET "ENABLE XFRD" CODE
				ENABLE XFRD FLIP-FLOP
				FIRST ARRIVAL RECORDED ON BIO?
				YES, GO HANDLE WITH TAG
0196				NO, COMPLETE DATA SET OBTAINED?
-				

0197		RMT	CLFG1	VES CO HANDLE LITERIOUE ELS
0198			A DRA2	YES, GO HANDLE WITHOUT TAG
0190				NO, GET CONTROL PANEL INPUTS
0200			A #\$3F	COMMAND ISSUED?
			ACCMD	NO
0201	A COMP		MDCDE	YES, GO DECODE IT
	ACCMD		A CRSAC	
0203			A #\$01	COMMAND RECEIVED?
0204		-	TAR1	NO, CHECK FOR FIRST ARRIVAL
0205			ADCDE	YES, GO DECODE IT
	CLFG1		A DRA1	NO TAG, CLEAR "COMPLETE DATA SET" FLAG
0207			INDTA	GO INPUT DATA
0208			\$5A	
-			OTDTA	
0210			TAR1	
0211	FLG2	LDA	A CRA1	TAG REQUIRED, COMPLETE DATA SET OBTAINED?
0212		BMI	CLFG2	YES, GO HANDLE NORMALLY
0213		ASL	Α	NO, TIME LIMIT EXCEEDED?
0214		BMI	CLOVR	YES, GO RESET FOR NEXT EVENT
0215		BRA	FLG2	NEITHER, WAIT IN LOOP
0216	CLOVR	LDA	A DRA1	CLEAR "OVERRANGE" FLAG
0217		CLR	DRB3	CLEAR "NOT XFR AND WRITE DATA" COMMANDS
0218				GET "ENABLE XFRD" CODE
0219			A DRB3	
0220			TAR1	
0221	CLFG2	LDA	A DRA1	CLEAR "COMPLETE DATA SET" FLAG
0222			A #\$03	
0223		STA	A DRB3	SEND TO DATACAP
0224			A #\$01	
0225		STA	A DRB3	LOWER "NOT XFR" TO WRITE ON TAPE
0226		LDA	A #\$03	GET "WDS AND NOT XFR" CODE
0227			A DRB3	
0228		JSR	INDTA	GO INPUT DATA
0229		LDA	A ∦\$FF	GET "BIOMATION RECORD" TAG
0230			A TAG	
0231				OUTPUT DATA WITH TAG
-	XFRC		A CRA2	
0233			XFRC	NO, LOOP
0234			<b>A #\$</b> 02	
0235				ENABLE XFRD FLIP-FLOP
0236			-	CLEAR "XFRC" FLAG
0237			TAR1	CHECK FOR FIRST ARRIVAL
0238		SPC		
-				SUBROUTINE
0240		SPC		
	INDTA		B <b>#</b> \$0B	INITIALIZE # OF WORDS TO INPUT
0242			#\$44	
	INCNT		•	INCREMENT POINTER
0244				GET 1/2 MSCD WORD AND CLEAR FLAG
0245		STA	A \$00.X	STORE IN MSCD BUFFER
			, <b>, -</b> -	

0.01.0				
0246				INCREMENT POINTER
0247				GET 2/2 MSCD WORD
0248		STA	A \$00,X	STORE IN MSCD BUFFER
0249		DEC	В	ALL MSCD DATA INPUT?
0250		BEQ	CLFLG	YES, JUMP
0251		LDA	A #\$05	NO, GET "BIT O AND MSCD ENABLE" CODE
0252			A DRB2	SEND TO MSCD
0253				GET "ENABLE MSCD" CODE
0254			A DRB2	ENABLE MSCD
	FLG			RESPONSE FROM MSCD?
0256			FLG	NO, WAIT
0257			INCNT	YES, GO HANDLE NEXT MSCD WORD
			A DRA1	CLEAR "COMPLETE DATA SET" FLAG
				GET "BIT 1 AND MSCD ENABLE" CODE
0259				SEND TO MSCD
				GET "MSCD ENABLE" CODE
0262				
				ENABLE MSCD
0263			4	RETURN
0264	* 0110	SPC		
	<b>=</b> 001			SUBROUTINE
0266		SPC		
	OTDTA			INITIALIZE # OF WORDS TO OUTPUT
0268			#\$43	
				GET ACIA STATUS
			A #\$02	TRANSMISSION BUFFER EMPTY?
0271		-		NO, WAIT IN LOOP
0272				YES, GET MSCD DATA WORD
0273		STA	A XRAC	OUTPUT DATA TO MODEM
0274		DEC	В	ALL MSCD DATA SENT?
0275		BEQ	SRTN	YES, DONE
0276		INX		NO, INCREMENT POINTER
0277		BRA	TDRE	GO SEND NEXT WORD
0278	SRTN	RTS		RETURN
0279		SPC	1	
		VIND	AND WRITE	SELECT SUBROUTINE
0281		SPC		
	REWWS			GET "REWIND AND WRITE SELECT" CODE
0283			•	SEND TO KENNEDY
0284				GET "WRITE SELECT" CODE
0285			A DRB4	SEND TO KENNEDY
	DOV 1			GET KENNEDY STATUS
	DOII			HAS KENNEDY BECOME BUSY?
0287			A #\$04	
0288	DOVO	-	BSY1	NO, LOOP
-	B215		A DRA4	YES, GET KENNEDY STATUS
0290			A <b>#</b> \$04	IS KENNEDY STILL BUSY?
0291			BSY2	YES, WAIT IN LOOP
0292			A #\$OF	NO, GET "REWIND COMPLETE" CODE
0293			A OUTAC	STORE FOR MODEM OUTPUT
0294		JSR	ACRDY	GO SEND IT

0295 RTS RETURN 0296 SPC 1 0297 WRITE END-OF-FILE SECTION 0298 SPC 1 0299 EOF LDA A DRB4 CHECK KENNEDY STATUS 0300 AND A #\$01 IS WRITE MODE SELECTED? 0301 BNE BSY3 YES. CONTINUE 0302 JMP CMD NO, CHECK FOR NEXT COMMAND 0303 BSY3 LDA A DRA4 CHECK KENNEDY STATUS 0304 AND A #\$04 IS KENNEDY BUSY? BNE BSY3 0305 YES, WAIT IN LOOP 0306 LDA A #\$03 NO, GET "EOFC AND WRITE SELECT" CODE 0307 STA A DRB4 SEND TO KENNEDY 0308 LDA A #\$01 GET "WRITE SELECT" CODE 0309 STA A DRB4 SEND TO KENNEDY 0310 BSY4 LDA A DRA4 CHECK KENNEDY STATUS 0311 AND A #\$04 IS KENNEDY BUSY? 0312 BNE BSY4 YES, WAIT IN LOOP 0313 LDA A #\$OF NO, GET "EOF WRITTEN" CODE 0314 STA A OUTAC STORE FOR MODEM OUTPUT 0315 JSR ACRDY GO SEND IT 0316 JMP CMD GO CHECK FOR COMMANDS AGAIN 0317 SPC 1 \* READ RECORD SECTION 0318 0319 SPC 1 0320 READ JSR INTRD GO INITIALIZE READ MODE 0321 TST \$0061 IS "PREMATURE RETURN" TRAP SET? 0322 BNE NW1 YES, KENNEDY IN WRITE MODE, RETURN NO, RELEASE "HOLD" COMMAND 0323 CLR DRB4 0324 JSR ROR GO READ ONE RECORD TST \$0061 0325 IS "PREMATURE RETURN" TRAP SET? 0326 BNE NW1 YES. EOF ENCOUNTERED, RETURN JSR OTDT1 0327 NO, GO OUTPUT ONE RECORD 0328 NW1 JMP CMD GO CHECK FOR COMMANDS 0329 SPC 1 0330 ➡ RE-READ ONE RECORD SECTION 0331 SPC 1 0332 RREAD JSR INTRD GO INITIALIZE READ MODE IS "PREMATURE RETURN" TRAP SET? 0333 TST \$0061 YES, KENNEDY IN WRITE MODE, RETURN 0334 BNE NW2 NO. GET "HOLD" CODE 0335 LDA A #\$08 STA A DRB4 SEND TO KENNEDY 0336 GO READ ONE RECORD 0337 JSR ROR IS "PREMATURE RETURN" TRAP SET? 0338 TST \$0061 YES. EOF ENCOUNTERED, RETURN 0339 BNE NW2 NO. GO OUTPUT ONE RECORD 0340 JSR OTDT1 JMP CMD GO CHECK FOR COMMANDS 0341 NW2 SPC 1 0342 0343 # SKIP ONE RECORD SECTION

÷

0344		SPC 1	
			SET "SKIP" TRAP
0346		JSR INTRD	GO INITIALIZE READ MODE
0347		TST \$0061	IS "PREMATURE RETURN" TRAP SET?
0348		BNE NW3	
0349		CLR DRB4	NO, RELEASE "HOLD" COMMAND
0350		JSR ROR	GO READ ONE RECORD
		TST \$0061	IS "PREMATURE RETURN" TRAP SET?
0352			YES, EOF ENCOUNTERED, RETURN
			NO, CLEAR "END OF RECORD" FLAG
			GET "ROOC AND HOLD" CODE
0355		LDA B #\$08	GET "HOLD" CODE
0356		STA A DRB4	SEND TO KENNEDY
			SEND TO KENNEDY
0358		NOP	SEND TO KENNEDY DELAY FOR "REOR" INTERRUPT
		LDA A CRA3	END OF RECORD REACHED?
		-	
0361		LDA A DRAZ	YES, CLEAR "END OF RECORD" FLAG
0362		ISR ACRDY	OUTPUT FINISHED CODE
			GO CHECK FOR COMMANDS
			de onder for commends
			MODE SUBROUTINE
	4.11.		NODE SODROOTINE
			CHECK KENNEDY STATUS
	1		IS WRITE MODE SELECTED?
0369			NO, CONTINUE
+ -			YES, SET "PREMATURE RETURN" TRAP
0371		BRA RT1	RETURN
0372	RDA	LDA A DRA4	RETURN CHECK FOR KENNEDY STATUS
0373		AND A #\$08	IS READ DATA AVAILABLE?
0374		BEQ RDA	NO, WAIT IN LOOP
	RT 1	•	RETURN
0376		SPC 1	
		AD ONE RECORD	SUBROUTINE
0378		SPC 1	
0379	ROR	NOP	REQUIRED DELAY
0380		NOP	FOR TRANSPORT TO
0381		NOP	START TRANSFERRING
0382		NOP	DATA FROM TAPE
-	RBSY		CHECK KENNEDY STATUS
0384			IS MEMORY BEING FILLED?
0385		BEQ RBSY	
0386		LDA A #\$08	•
0387		STA A DRB4	•
0388		LDA A DRA4	
0389		AND A #\$10	
0390		BEQ RBIE	
0391			YES, GET "EOF READ" CODE
0392		•	STORE FOR MODEM OUTPUT

0395 0396 0397 0398 0399 0400	RBIE	INC BRA LDA AND BEQ LDA STA	\$0061 RT2 A DRA4	RETURN CHECK KENNEDY STATUS WAS READ BLOCK IN ERROR? NO, DATA IS OK YES, GET "READ ERROR" CODE STORE FOR MODEM OUTPUT
			RT2	YES, RETURN
0403			ACRDY	
	RT2			RETURN
0405	NOER	LDA	A #\$00	
0406		STA		STORE FOR MODEM OUTPUT
0407		TST		IS "SKIP TRAP" SET?
0408				YES, RETURN
				NO, GO SEND IT
-				RETURN
0411	)		1	
	<b>*</b> OU			D SUBROUTINE
0413		SPC		DEDROOTINE
-			-	CLEAR FOR CHECKSUM
				GET KENNEDY DATA
		STA	A OUTAC	STORE FOR MODEM OUTPUT
0417				GET LAST CHECKSUM
0418			- +••	ADD TO PRESENT CHECKSUM
0419		STA	A \$60	ADD TO PRESENT CHECKSUM STORE CHECKSUM
0420				SEND DATA
0421				GET "ROOC AND HOLD" COMMAND
0422				GET "HOLD" CODE
0423			-	SEND TO KENNEDY
0424			B DRB4	SEND TO KENNEDY
0425		NOP		DELAY FOR "REOR" INTERRUPT
0426			A CRA3	END OF RECORD REACHED?
0427			IINC	NO, OUTPUT MORE DATA
0428			A DRA3	•
0429			A \$60	•
0430				STORE FOR MODEM OUTPUT
0431				SEND CHECKSUM
0432			\$0060	CLEAR CHECKSUM LOCATION
0433		RTS	•	RETURN
0434	¥			TORED INTERRUPTS
0435		ORG	\$83F8	
0436			\$8037	IRQ VECTOR
0437			\$83FC	
0438			\$8037	NMI VECTOR
0439			\$8000	RES VECTOR
0440		SPC	•	
0441		END		
•••				

0001 ASMB, R, F 0002 HED \*\* RT/DOS PLOT PACKAGE FOR TEK 4010 \*\* \* 0003 0004 ¥ 0005 NAM PLOT.7 # 0006 0007 ¥ 8000 ENT WHERE, FACT, PLOT, PLTLU 0009 ENT TPLOT, CURSR, ERASE, HCOPY 0010 ž ¥ 0011 0012 EXT .ENTR, EXEC, IFIX, FLOAT ¥ 0013 0014 ¥ THIS IS THE CENTRAL PROGRAM IN THE HP REAL-TIME/DISC 0015 ¥ OPERATING SYSTEM PLOTTING PACKAGE. IT PLOTS ON A Ŧ 0016 TEKTRONIX 4010 CATHODE RAY STORAGE TUBE. 0017 ¥ 0018 ¥ 0019 ¥ WRITTEN BY JOHN CARLYLE Ŧ 0020 0021 ¥ \* 0022 ¥ 0023 0024 ¥ ¥ 0025 THERE ARE 8 SECTIONS TO THE PLOT PROGRAM ¥ 0026 0027 ¥ 1-WHERE; ESTABLISHES WHERE PEN IS CURRENTLY. 0028 ¥ 2-FACT; ESTABLISHES SCALING FACTOR OF PLOT ¥ 0029 3-PLOT; CONVERTS THE X, Y AND PEN DATA TO PLOT 0030 Ŧ COMMANDS. ¥ 4-PLTLU; ALLOWS THE USER TO DECLARE THE 0031 0032 ¥ LOGICAL UNIT NUMBER OF THE 0033 ¥ PLOTTER UNIT. THIS ALLOWS THE 0034 ¥ USE OF MORE THAN ONE PLOTTER. 5-TPLOT; TEKTRONIX 4010 CRT PLOTTING ROUTINE 0035 ¥ ¥ 6-CURSR; TEKTRONIX 4010 CRT CURSOR ACTIVATION 0036 0037 ¥ 7-ERASE; TEKTRONIX 4010 CRT SCREEN ERASE ¥ 8-HCOPY; TEKTRONIX 4010 CRT HARDCOPY CREATION 0038 ¥ 0039 0040 ¥ 0041 ¥ 0042 - # 0043 SKP 0044 \*\*\*\* \*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\* # 0045 0046 ¥ 0047 \*\*\*\*\*\* WHERE \*\*\*\* 0048 \* THE -WHERE- CALL ALLOWS THE USER TO DETERMINE THE 0049

0050 \* CURRENT PLOTTER PEN POSITION. THE NUMBERS PROVIDED 0051 \* TO THE USER WILL BE IN FLOATING POINT. 0052 \* # # - FORTRAN LINKAGE -0053 0054 ¥ ¥ 0055 CALL WHERE(X.Y) 0056 ¥ 0057 ¥ X SPECIFIES THE 2 WORD BUFFER FOR X. 0058 ¥ Y SPECIFIES THE 2 WORD BUFFER FOR Y. ¥ 0059 ¥ 0060 ¥ ¥ 0061 0062 \* \* \* - CALLING SEQUENCE -0063 0064 ¥ 0065 ¥ JSB WHERE WHERE ROUTINE ORIGIN 0066 ¥ DEF **\*+**3 RETURN 0067 ¥ DEF XC LOCATION OF USER X 2 WD BUFFER 0068 ¥ DEF YC LOCATION OF USER Y 2 WD BUFFER ¥ 0069 0070 ¥ 0071 \*\*\*\* ¥ 0072 0073 ¥ 0074 XC OCT 0 ADDRESS OF 2 WD BUFFER FOR X 0075 YC OCT 0 ADDRESS OF 2 WD BUFFER FOR Y 0076 ¥ 0077 Ŧ 0078 WHERE NOP JSB .ENTR 0079 DEF WHERE-2 0800 0081 LDA XPEN GET CURRENT X ORIGIN 0082 CMA,INA NEGATE IT 0083 ADA IDX CALCULATE CURRENT X POSITION 0084 JSB FLOAT CONVERT FROM FIXED TO FLOATING 0085 FDV CFAC STORE IN USERS BUFFER 0086 DST XC.I 0087 \* 8800 LDA YPEN GET CURRENT Y ORIGIN 0089 CMA, INA NEGATE IT CALCULATE CURRENT Y POSITION 0090 ADA IDY JSB FLOAT CONVERT FROM FIXED TO FLOATING 0091 0092 FDV DFAC DST YC,I STORE IN USERS BUFFER 0093 0094 JMP WHERE, I EXIT 0095 \* 0096 \* Ŧ 0097 0098 Ŧ

0099 SKP 0100 \* \*\*\*\*\*\*\*\*\*\*\*\*\* 0101 ÷. 0102 ¥ 0103 \*\*\*\*\* FACT \*\*\*\* 0104 0105 \* ¥ 0106 0107 \* THE -FACT- CALL ALLOWS THE USER TO VARY THE SCALING 0108 \* FACTOR USED FOR EACH PLOT. THE SCALING FACTOR WILL 0109 \* BE INITIALIZED AT "1.0". THE FACTOR IS 0110 \* MULTIPLIED BY 100.0 FOR USE WITH THE TEK 4010, 0111 \* WHERE THE MAX LIMITS ARE (1023,1023). 0112 \* 0113 \* \* - FORTRAN LINKAGE -0114 ÷. 0115 \* CALL FACT(AX,AY) 0116 \* 0117 \* AX = X PLOT FACTOR0118 \* AY = Y PLOT FACTOR¥ 0119 0120 \* \* 0121 \* 0122 \* \* - CALLING SEQUENCE -0123 \* 0124 \* JSB FACT FACTOR ROUTINE ORIGIN 0125 \* DEF **#**+3 DEF FCT LOC OF X PLOT FACTOR 0126 \* DEF FCT+1 " Y " " 0127 \* 0128 \* ¥ 0129 \*\*\*\*\*\*\*\*\*\*\*\*\*\* 0130 ¥ 0131 0132 ¥ ¥ 0133 OCT 0 ADDRESS OF 2 WD FP FACTOR 0134 FCT OCT 0 0135 0136 FACT NOP 0137 JSB .ENTR DEF FACT-2 0138 DLD FCT,I 0139 0140 FMP F100 DST CFAC 0141 0142 DLD FCT+1,I 0143 FMP F100 0144 DST DFAC 0145 JMP FACT,I 0146 ¥ 0147 CFAC DEC 100.0

0148 DFAC DEC 100.0 0149 F100 DEC 100.0 0150 ÷ 0151 ¥ 0152 SKP \* 0153 ¥ 0154 0155 Ħ 0156 ##### PLOT #### 0157 ÷ 0158 ¥ 0159 \* THE -PLOT- ROUTINE CONVERTS THE DEFINED X,Y 0160 \* PARAMETERS TO PLOT INFORMATION THEN EXECUTES 0161 \* THE PLOT. 0162 0163 \*\* RESTRICTION--- NO PLOT LENGTH CAN EXCEED 16,383 0164 \* INCREMENTS. (APPROXIMATELY 163 INCHES) 0165 \* 0166 \* \* - FORTRAN LINKAGE -0167 \* 0168 \* CALL PLOT(X,Y,IC) 0169 \* 0170 \* -X, Y DEFINES THE NEW COORDINATE TO BE PLOTTED. 0171 ¥ 0172 \* -IC DEFINES THE PEN UP/DOWN COMMAND. ¥ 0173 ¥ ¥ 0174 ¥ 0175 0176 \* \* - CALLING SEQUENCE -0177 \* 0178 \* JSB PLOT PLOT ROUTINE ORIGIN 0179 \* DEF **\***+4 ADDRESS OF X COORDINATE. 0180 \* DEF X ADDRESS OF Y COORDINATE. 0181 \* DEF Y ADDRESS OF PEN COMMAND. 0182 × DEF IC \*\*\*\*\*\*\*\*\*\* 0183 ¥ 0184 0185 ¥ 0186 X OCT 0 ADDRESS OF X PLOT DATA. 0187 Y OCT 0 ADDRESS OF Y PLOT DATA. OCT 0 0188 IC ADDRESS OF PEN COMMAND. 0189 \* 0190 PLOT NOP 0191 JSB .ENTR 0192 DEF PLOT-3 0193 ¥ 0194 \* 0195 DLD X,I LOAD X PLOT DATA JSB FPC CONVERT AND FACTOR 0196

0197	-	STA IX	STORE FIXED X MOVEMENT VALUE
0198		<b>bto</b>	
0199		DLD Y,I	LOAD Y PLOT DATA
			CONVERT AND FACTOR
0201	-	STA IY	STORE FIXED Y MOVEMENT VALUE
0202			
0203 0204	*	DLD XPEN	LOAD OLD X,Y ORIGIN DATA
0204	*	VDEN AND A	ADEN ADE IN O CONCECUETUR
0205	*	LOCATIONS	(PEN ARE IN 2 CONSECUTIVE FOR THIS DOUBLE LOAD.
0200	¥	LOCATIONS	FOR THIS DOUBLE LOAD.
0208	¥	THE PLOTT	ER DATA WILL BE
0209	¥	CALCULATE	
0210	¥		, ve rolloup:
0211	¥	IX	+ XPEN = TDX
0212	¥	IY	+ XPEN = IDX + YPEN = IDY
0213	¥		
0214	¥	I	WHERE IX = REQUIRED X MOVEMENT
0215		I	WHERE IY = REQUIRED Y MOVEMENT
0216	¥		XPEN = OLD X ORIGIN
0217	¥		YPEN = OLD Y ORIGIN
0218			
0219		ADA IX	
0220		ADB IY	
0221		DST IDX	STORE ABSOLUTE PLOTTING DATA
0222			
0223			
0224			
0225 0226			MODE AND DRAW THE LINE
0220	* U	ELERMINE PLU.	I MODE AND DRAW THE LINE
0228			GET PEN COMMAND
0229		•	NEW ORIGIN?
-			YES, GET CURRENT POSITION
-			STORE IN ORIGIN AREA
-			GET PEN COMMAND AGAIN
0234			MAKE PEN COMMAND POSITIVE
	PU.1	CPA CO2	DOES PEN COMMAND = 2?
0236		JMP PU.2	YES
0237		CLA	NO, MOVE WITH PEN UP
0238		STA PENC	
0239		JMP PU.3	
		•	MOVE WITH PEN DOWN
0241		STA PENC	
			DRAW THE LINE
0243		DEF <b>*</b> +5	
0244		DEF ILUN	
0245		DEF PENC	

0246 DEF IDX 0247 DEF IDY 0248 JMP PLOT, I 0249 \* 0250 \* 0251 ¥ THIS ROUTINE MULTIPLIES THE PLOT CO-ORDINATE 0252 \* 0253 \* BY THE SCALE FACTOR THEN CONVERTS FROM 0254 🗮 FLOATING POINT TO FIXED. ¥ 0255 A= X OR Y PLOT CO-ORDINATE ON ENTRY. 0256 ¥ 0257 FPC NOP 0258 FMP CFAC (CO-ORDINATE)(PLOT FACTOR) 0259 FAD FD05 0260 JSB IFIX CONVERT TO FIXED POINT JMP FPC,I EXIT WITH A=FIXED PLOT #. 0261 0262 \* 0263 \* 0264 ¥ 0265 FPD NOP 0266 FMP DFAC 0267 FAD FD05 0268 JSB IFIX 0269 JMP FPD,I 0270 \* 0271 ¥ 0272 ¥ 0273 SKP 0274 0275 \*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\* 0276 \*\*\* PLTLU \*\*\* 0277 0278 ¥ 0279 0280 \* THE -PLTLU- CALL ALLOWS THE USER TO SET THE 0281 # LOGICAL UNIT NUMBER FOR THE DESIRED PLOTTER. 0282 # THIS CALL MUST BE MADE TO SET THE LU # BEFORE 0283 \* THE FIRST CALL TO -PLOT-; OTHERWISE THE SYSTEM \* WILL TERMINATE THE USER PROGRAM BECAUSE OF AN 0284 0285 # I/O REQUEST ERROR "LOGICAL UNIT = ZERO". 0286 ¥ 0287 \* \* - FORTRAN LINKAGE -0288 ÷ 0289 ¥ CALL PLTLU(ILU) 0290 ¥ THE LOGICAL UNIT # MUST BE INTEGER 0291 \* 0292 ¥ **\* \* -** CALLING SEQUENCE : 0293 0294 ¥

0295 # JSB PLTLU PLOT LU ROUTINE 0296 \* DEF **\***+2 RETURN 0297 \* DEF ILU LOCATION OF INTEGER LU # Ħ 0298 0299 \*\*\*\*\*\*\*\*\*\*\*\*\* 0300 \* ¥ 0301 ¥ 0302 0303 ILU BSS 1 STORAGE FOR LU # ADDRESS 0304 ¥ 0305 ¥. 0306 PLTLU NOP 0307 JSB .ENTR SET ADDRESS OF 0308 DEF PLTLU-1 PARAMETER IN "ILU". 0309 \* 0310 LDA ILU,I SET LU # 0311 STA ILUN IN LOCAL STORAGE. 0312 \* JMP PLTLU, I RETURN 0313 0314 SKP 0315 \* ¥ 0316 ¥ 0317 0318 \*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\* 0319 0320 \*\*\*\*\* WORKING STORAGE \*\*\* 0321 ¥ 0322 ¥ \* THE FOLLOWING GROUPS OF TWO WORDS MUST BE 0323 0324 **#** IN 2 CONSECUTIVE MEMORY LOCATIONS. ¥ 0325 0326 IDX OCT 0 ABSOLUTE X DATA FOR PLOTTER 0327 IDY OCT 0 ABSOLUTE Y DATA FOR PLOTTER 0328 ¥ 0329 XPEN OCT 0 STORAGE FOR X ORIGIN 0330 YPEN OCT 0 STORAGE FOR Y ORIGIN 0331 \* REQUIRED X MOVEMENT 0332 IX OCT O 0333 IY OCT O REQUIRED Y MOVEMENT 0334 ¥ 0335 PENC OCT 0 PEN COMMAND (MODE) LU # OF PLOTTER BEING USED 0336 ILUN OCT 0 0337 × 0338 CO2 0CT 2 0339 FD05 DEC .5 0340 SKP 0341 ¥ 0342 # TEKTRONIX 4010 TERMINAL MANIPULATION SECTION 0343 ¥

0344	A	EQU	0	A-REGISTER DEFINITION	
0345	¥				
0346	BAKAR	OCT	137	BACK-ARROW TO SUPPRESS CR/LF FROM	DRIVER
0347	HBAKA	OCT	57400	BACK-ARROW IN UPPER ASCII BYTE	
0348	ERAS	OCT	15414	ESC+FF CHARACTERS TO ERASE SCREEN	
0349	VECT	OCT	16537	GS + BACK-ARROW TO SET VECTOR MODE	
0350	ALCUR	OCT	17433	US + ESC + SUB + BACK-ARROW TO RET	URN TO
0351	CUARO	OCT	15137	ALPHA MODE THEN ENABLE GRAPHICS	CURSOR
0352	HCPY	OCT	15427	ESC+ETB CHARACTERS TO MAKE HARD CO	PY
0353	ALPH	OCT	17537	US + BACK-ARROW TO SET ALPHA MODE	
0354	¥				
0355	M2	OCT	-2	ASCII CHARACTER COUNTS	
0356	M3	OCT	-3		
0357	M4	OCT	-4	FOR RTE/DOS EXEC CALLS	
0358	M5	OCT	<del>-</del> 5		
0359	B37	OCT	37	MASK FOR CURSOR-POSITION BYTE	
				MASK FOR ASCII BYTE	
	HOBYT			HIGH-ORDER BYTE TAG	
0362	LXBYT	OCT	100	LOW-ORDER X-BYTE TAG	
0363	LYBYT	OCT	140	LOW-ORDER Y-BYTE TAG	
0364	ICOD1	OCT	1	RTE/DOS EXEC-CALL READ CODE	
0365	ICOD2	OCT	2	RTE/DOS EXEC-CALL WRITE CODE	
0366	INDR	OCT	100000	INDIRECT BIT 15	
0367	¥				
0368	IBUFR	BSS	3	RTE/DOS EXEC-CALL BUFFER	
0369	IBUFL	NOP		RTE/DOS EXEC-CALL BUFFER LENGTH	
0370	ICNWD	NOP		RTE/DOS EXEC-CALL CONTROL WORD	
0371	ARGAD	NOP		CALLER ARGUMENT-ADDRESS POINTER	
0372	RETAD	NOP		CALLER RETURN-ADDRESS POINTER	
0373	XSTOR	NOP		TEMPORARY X-COORDINATE STORAGE	
0374	YSTOR	NOP		TEMPORARY Y-COORDINATE STORAGE	
0375	LOWX	NOP		TEMPORARY LOW-X BYTE STORAGE	
0376	TEMP	NOP		TEMPORARY STORAGE	
0377	MODE	NOP		POINT-PLOT MODE SWITCH	
010	¥				
0379	¥				
0380		HED	TPLOT		
0381	*				
0382				***************************************	
0383		****	*********	***************************************	**
0384	**				**
0385	**	PLOI	TING ROUT	LNE "IFLOI"	**
0386	**				**
0387	**				**
0388	**	CALI	LING SEQUEN		**
0389	**				
0390	**	FC	DRTRAN :	CALL TPLOT(LUN, MODE, IX, IY)	**
0391	**				**
0392	**	A S	SMB :	JSB TPLOT	

0393		DEF #+5 ##
0394	**	DEF LUN #*
0395	**	DEF MODE ##
0396	**	DEF IX ##
0397	**	DEF IY **
0398	**	**
0399	**	**
0400	**	WHERE : LUN = LOGICAL UNIT NO. OF CRT **
0401	**	MODE = PLOTTING MODE **
0402	**	IX = X-COORDINATE, 0 TO 1023 MAX. **
0403	**	IY = Y-COORDINATE, O TO 780 MAX. **
0404 0405	**	**
0405	**	
0408		PLOTTING MODES ARE AS FOLLOWS : **
0407		MODE = 0 **
0400	**	THIS PUTS THE CRT INTO LINEAR-INTERPOLATE **
0409	**	MODE AND PLOTS A DARK VECTOR (INVISIBLE) **
0410		TO THE COORDINATES SPECIFIED . **
0412	**	THIS MODE MUST ALWAYS BE CALLED TO PLOT **
0413	××	THE FIRST POINT OF ANY SEQUENCE WHICH **
0414		INVOLVES BRIGHT-VECTOR PLOTTING . **
0415	**	**
0416	**	MODE > 0 **
0417	**	THIS MODE DRAWS A BRIGHT LINEAR VECTOR **
0418	**	FROM ANY PREVIOUS POINT TO THE COORDINATES **
0419	**	SPECIFIED . PRIOR TO USING THIS MODE , **
0420	₩¥	THE CRT MUST HAVE BEEN PUT IN VECTOR MODE **
0421	¥*	BY AN INITIAL MODE-O PLOT . **
0422	**	**
0423	¥¥	MODE < 0
0424		THIS MODE SIMULATES POINT PLOTTING BY
0425		FINSI DRAWING A DARK VECTOR TO THE GIVEN
0426		COORDINATES, AND THEN A DATCHT VECTOR TO
0427		THE SAME FOINT, RESOLTING IN A DINGED
0428		DOI ON THE SCREEN .
0429		MODE O NEED NOT DE OSED TRIOR TO ORDING
0430	**	POINT-PLOT .
0431 0432		**
0432		THE CRT IS LEFT IN VECTOR MODE AFTER CALLING **
0433	**	ANY OF THESE PLOT ROUTINES .
0434	**	ANI OF THESE FLOT ROOTINES .
0435	**	**
0430		THIS ROUTINE CALLS THREE OTHER INTERNAL
0438		SUBROUTINES : 'ENTRY' 'TKPLT' 'OUT' **
0439	¥¥	**
01110	****	***************************************
0441	****	*******

0442 *	
0443 *	
0444 TPLOT NOP	
0445 JSB ENTRY SET UP THE POINTERS	
0446 LDA ARGAD,I PASS LOGICAL UNIT	
0447 STA ICNWD NUMBER TO EXEC CALL	
0448 LDA M2 SET EXEC-CALL LENGTH	
0449 STA IBUFL TO TWO ASCII CHARACTERS	3
0450 ISZ ARGAD ADVANCE ARGUMENT POINTER	
0451 LDA ARGAD, I GET THE NEXT ARGUMENT (MC	DDE)
0452 SZA, RSS CHECK FOR CASE 1, MODE =	0
0453 JMP DARK	
0454 SSA SKIP IF BRIGHT VECTOR	
0455 JMP POINT CASE 3, MODE < 0	
0456 JMP BRITE CASE 2, MODE > 0	
0457 *	
0458 *	
0459 <b>*</b> CASE 1 - DARK VECTOR	
0460 *	
0461 DARK LDA VECT GET CHARACTER FOR VECTOR	MODE
0462 STA IBUFR AND PASS IT TO EXEC CAL	L
0463 JMP INIT INITIALIZE CRT	
0464 *	
0465 *	
0466 * CASE 3 - POINT-PLOT SIMULATION	
0467 *	
0468 POINT LDA VECT GET CHARACTER FOR VECTOR	MODE
0469 STA IBUFR AND PASS IT TO EXEC CAL	L
0470 STA MODE SET THE POINT-PLOT MODE S	SWITCH
0471 INIT JSB OUT OUTPUT THE VECTOR-MODE CH	HARACTER
0472 *	
0473 *	
0474 <b>*</b> CASE 2 - BRIGHT VECTOR	
0475 *	
0476 BRITE ISZ ARGAD ADVANCE ARGUMENT POINTER	
0477 LDA ARGAD, I GET X-COORDINATE FROM CAL	LER
0478 STA XSTOR AND SAVE IT LOCALLY	
0479 ISZ ARGAD ADVANCE ARGUMENT POINTER	_
0480 LDA ARGAD, I GET Y-COORDINATE FROM CAL	LER
0481 STA YSTOR AND SAVE IT LOCALLY	
0482 JSB TKPLT NOW PLOT THIS POINT	
0483 LDA LOWX GET LOW-X CURSOR BYTE AGA	
0484 LSL 8 SHIFT INTO UPPER ASCII BY	ſΈ
0485 IOR BAKAR ADD BACK-ARROW	_
0486 STA IBUFR AND PASS IT TO EXEC CAL	чL
0487 LDA M2 SET EXEC-CALL LENGTH	_
	3
0488 STA IBUFL TO TWO ASCII CHARACTERS	
0488STA IBUFLTO TWO ASCII CHARACTERS0489LDA MODELOAD POINT-PLOT MODE SWIT0490SZAAND SKIP IF NOT POINT MODE	СН

0491 0492 0493 0494 0495 0496 0497 0498 0499	* * *	JSB OUT OUTPUT LOW-X BYTE AGAIN , CLA (TO PLOT SAME POINT AS BRIGHT) STA MODE RESET POINT-PLOT MODE SWITCH JMP RETAD,I RETURN HED CURSR	•
0500	****	***************************************	
0501	¥¥	**	
0502	**	CURSOR-COORDINATE ROUTINE "CURSR" **	
0503	**	CONSON-COONSINATE NOOTINE CONSA.	
0504	**	**	
0505	**	CALLING SEQUENCES :	
0505	**	CRUTING REGORNCERS : **	
	**		
0507	¥¥	FORTRAN : CALL CURSR(LUN,ICHAR,IX,IY) **	
0508	**		
0509	¥¥		
0510	**		
0511	**	BHI LON	
0512	**		
0513	**		
0514	**	DEF IY **	
0515	**	**	-
0516	**		
0517	**	WIERE . LOW - LOUIORE ONLI NO. OF ONI	
0518	**	ICHAR - KEIDOARD CHARACTER FROM CRI	
0519	**	IX = CONSON X=COONDINATE	
0520 0521	**	IY = CURSOR Y-COORDINATE	
0521			
0522		THIS ROUTINE PLACES THE CRT IN ALPHA MODE , **	
0523		TURNS ON THE CROSSHAIR CURSOR , AND WAITS	
	**	TORNS ON THE CROSSNATH CORSON, AND WALLS	
0525		CHARACTER + CARRIAGE-RETURN/LINEFEED . **	
0520		CHARACIER + CARRINGE-REIGRN/ EINEFEED :	
0528		**	ł
0529		WHEN THE CROSSHAIR CURSOR APPEARS , THE ** OPERATOR ADJUSTS ITS POSITION AS REQUIRED , **	
0530		distantion about the restriction as analytically	
0531		AND THEN TIPES ANT DESIRED RETHANOLIHATO	
	**	CHARACIER + CREF . THE ABOUT VALUE OF THE	
	**	KEIBUARD CHARACIER IS INEW REFORMED TO THE	
	**	CALLING PROGRAM (IN THE LOWER BYTE OF ICHAR) , **	ŧ
0535		ALONG WITH THE INTEGER VALUES OF THE X AND I	
	**	COORDINATES OF THE CROSSHAIR INTERSECTION .	
0537		÷ ÷	f
0538		THE USE OF CTRL/A TO CHANGE THE KEYBOARD	
0539	~ ~	INE USE OF CIRLYN IO CHNNGE INE KEIDONND	

0540	**	<b>CTTA</b> 1			
-	**		RACTER ENT	RY IS ILLEGAL , SINCE THE DRIVER	ł
0541 0542		WILI	L ALTER ON	E OF THE COORDINATES INSTEAD . **	
-	**			÷.	
	**	<b>m</b> 110		#1	
	**		CRT IS LEI	FT IN ALPHA MODE AFTER CALLING **	
0545 0546	**	THT	S ROUTINE		
-	**			**	
0547		ΨUT			-
0540			ROUTINES :	CALLS THREE OTHER INTERNAL ** 'ENTRY' 'IN' 'OUT' **	
0550	**	SUD!	NOUIINES :	'ENTRY' 'IN' 'OUT' **	
0551	*****	****	********		
0552	****	****		***************************************	
	¥				5
	¥				
	CURSR	NOP			
0556	oonon		ENTRY	SET UP THE POINTERS	
0557				PASS LOGICAL UNIT	
0558			ICNWD	NUMBER TO EXEC CALL	
0559		LDA		SET EXEC-CALL LENGTH	
0560			IBUFL	TO FOUR ASCII CHARACTERS	
0561			ALCUR	PASS ALPHA-MODE ,	
0562			IBUFR	CURSOR-ENABLE .	
0563			CUARO	AND BACK-ARROW	
0564				CHARACTERS TO EXEC CALL	
0565			OUT	OUTPUT THE CHARACTERS	
0566	¥				
0567		LDA	M5	SET EXEC-CALL LENGTH	
0568		STA	IBUFL	TO FIVE ASCII CHARACTERS	
0569		JSB	IN	AND WAIT FOR THEM	
0570		LDA	IBUFR	GET FIRST WORD RECEIVED	
0571		CLB		ISOLATE KEYBOARD CHARACTER BY	
0572		LSR	8	DISCARDING LOW ASCII BYTE	
0573		ISZ	ARGAD	ADVANCE ARGUMENT POINTER	
0574				RETURN CHARACTER TO CALLER	
0575		LDA	IBUFR	GET FIRST WORD AGAIN	
0576			B37	AND ISOLATE HIGH-X CURSOR BYTE	
0577		LSL	5	SHIFT IT INTO POSITION	
0578		STA	TEMP	AND SAVE IT TEMPORARILY	
0579			IBUFR+1		
0580			8	DISCARD LOWER ASCII BYTE	
0581			B37	ISOLATE LOW-X CURSOR BYTE	
0582			TEMP	ADD HIGH-X BYTE	
0583			ARGAD		
0584			ARGAD, I		
0585			IBUFR+1		
0586			B37	AND ISOLATE HIGH-Y CURSOR BYTE	
0587		LSL		SHIFT IT INTO POSITION	
0588		STA	TEMP	AND SAVE IT TEMPORARILY	

0589 0590 0591 0592 0593 0594 0595 0596 0597 0598 0599	¥	LDA IBUFR+2 LSR 8 AND B37 IOR TEMP ISZ ARGAD STA ARGAD,I JMP RETAD,I HED ERASE GET THIRD BUFFER WORD DISCARD LOWER ASCII BYTE ISOLATE LOW-Y CURSOR BYTE ADD HIGH-Y BYTE ADD HIGH-Y BYTE ADD HIGH-Y BYTE ADVANCE ARGUMENT POINTER RETURN HED ERASE	
0600	****	***************************************	¥
0601	*****	***************************************	¥
0002	**	₩ ·	¥
0005	**	CRT SCREEN-ERASE ROUTINE "ERASE" **	¥
0604	**	¥.	
	**	₩	
0000	** **	CALLING SEQUENCES :	
0001	**		
0608	**	FORTRAN : CALL ERASE(LUN) *	
-	**	ASMB : JSB ERASE	
	**	DEF *+2 **	¥
	**	DEF LUN *	¥
0613	**	¥.	¥
0614	¥¥	WHERE : LUN = LOGICAL UNIT NO. OF CRT *	¥
0615	¥ ¥	₩.	
0616	**	÷.	
0617	**	THIS ROUTINE CAUSES THE SCREEN OF THE CRT	
0618	**	SPECIFIED IN THE CALL TO BE ERASED , AND	
0619	**	LEAVES IT IN ALFAR MODE WITH THE CONSON IN	
0620	** **	THE 'HOME' POSITION .	
0621 0622			
	**	THIS ROUTINE CALLS TWO OTHER INTERNAL	¥
0624		SUBROUTINES : 'ENTRY' 'OUT'	¥
0625	**	BODAGOTINES : EMINI COI	¥
		*****	¥
	****	***************************************	¥
0628	¥		
0629	¥		
0630	ERASE	NOP	
0631		JSB ENTRY SET UP THE POINTERS	
0632		LDA ARGAD, I PASS LOGICAL UNIT	
0633		STA ICNWD NUMBER TO EXEC CALL	
0634		LDA M3 SET EXEC-CALL LENGTH	
0635		STA IBUFLTO THREE ASCII CHARACTERSLDA ERASGET CHARACTERS TO ERASE SCREEN	
0636 0637		LDA ERAS GET CHARACTERS TO ERASE SCREEN STA IBUFR AND PASS TO EXEC CALL	
0031		DIA IDULU AND IADD IO BAED OADD	

0638 0639 0640 0641 0642	•	LDA HBAKA GET UPPER BACK-ARROW CHARACTER STA IBUFR+1 AND PASS TO EXEC CALL JSB OUT OUTPUT THE ERASE COMMAND JMP RETAD,I RETURN
0643 0644 0645	*	HED HCOPY
0646		***************************************
0647	*****	***************************************
0648	**	
0649	**	HARD-COPY PRODUCTION ROUTINE "HCOPY" **
0650	**	**
0651	**	
0652	**	CALLING SEQUENCES : **
0653	**	
0654	**	FORTRAN : CALL HCOPY(LUN)
0655	**	
0656	**	ASMB : JSB HCOPY **
0657 0658	**	DEF #+2 ## DEF LUN ##
0650	**	DEF LUN **
0659	**	**
0661	**	
0662	**	WHERE : LUN = LOGICAL UNIT NO. OF CRT **
0663	**	**
0664	**	THIS ROUTINE, WHICH WORKS ONLY WITH A **
0665	**	4010-1 TERMINAL EQUIPPED WITH A COPIER,
0666	**	CAUSES IT TO GENERATE ONE HARD COPY
0667	**	FOR EACH CALL TO THE ROUTINE . **
0668	**	TON ERON ONDE TO THE NOOTINE .
0669	**	**
0670	**	AFTER EACH COPY CYCLE , THE TERMINAL IS LEFT **
0671	**	IN THE MODE IN WHICH THE CALLING PROGRAM **
0672	**	FOUND IT . **
0673	**	±
0674	**	**
0675	**	THIS ROUTINE CALLS TWO OTHER INTERNAL
0676	**	SUBROUTINES : 'ENTRY' 'OUT' **
0677	**	**
0678	****	***************************************
0679	****	***************************************
0680	¥	
0681	¥	
0682	НСОРҮ	
0683		JSB ENTRY SET UP THE POINTERS
0684		LDA ARGAD,I PASS LOGICAL UNIT
0685		STA ICNWD NUMBER TO EXEC CALL
0686		LDA M3 SET EXEC-CALL LENGTH

0687 0688 0689 0690 0691 0692 0693		LDA STA LDA STA JSB	IBUFL HCPY IBUFR HBAKA IBUFR+1 OUT RETAD,I	TO THREE ASCII CHARACTERS GET CHARACTERS TO MAKE HARD COPY AND PASS TO EXEC CALL GET UPPER BACK-ARROW CHARACTER AND PASS TO EXEC CALL OUTPUT THE COPY COMMAND RETURN
0694	#		· · · <b>,</b> -	
0695	¥			
0696	¥	HED	TKPLT	
0697	× ¥	TUTO	CUDDOURTH	
0698 0699	*			E ASSEMBLES A COORDINATE PAIR AND
0700	Ħ	A RROI	A LU SII II A LU SII II	O THE TERMINAL , ALONG WITH A BACK- ESS THE CRLF FROM THE DRIVER .
0701	¥	Anno	n IO BOFFA.	ESS THE CALF FROM THE DRIVER .
0702	¥			
0703	TKPL	I NOP		
0704		LDA	YSTOR	GET THE Y-COORDINATE
0705		LSR	5	DISCARD THE LOW 5 BITS
0706		AND	B37	ISOLATE HIGH-Y CURSOR BYTE
0707			HOBYT	ADD HIGH-ORDER TAG BITS
0708		LSL		SHIFT INTO UPPER ASCII BYTE
0709			TEMP	AND SAVE TEMPORARILY
0710			YSTOR	GET COORDINATE AGAIN
0711			B37	ISOLATE LOW-Y CURSOR BYTE
0712			LYBYT	ADD LOW-Y TAG BITS
0713			TEMP IBUFR	ADD UPPER ASCII BYTE AND PASS TO EXEC CALL
0714 0715			XSTOR	GET THE X-COORDINATE
0716		LSR		DISCARD THE LOW 5 BITS
0710			B37	ISOLATE HIGH-X CURSOR BYTE
0718			HOBYT	ADD HIGH-ORDER TAG BITS
0719		LSL		SHIFT INTO UPPER ASCII BYTE
0720			TEMP	AND SAVE TEMPORARILY
0721			XSTOR	GET COORDINATE AGAIN
0722		AND	B37	ISOLATE LOW-X CURSOR BYTE
0723		IOR	LXBYT	ADD LOW-X TAG BITS
0724			LOWX	SAVE LOW-X CURSOR BYTE FOR POINT-PLOT
0725		IOR	TEMP	ADD UPPER ASCII BYTE
0726			IBUFR+1	AND PASS TO EXEC CALL
0727			HBAKA	GET UPPER BACK-ARROW CHARACTER
0728			IBUFR+2	AND PASS TO EXEC CALL
0729			M5	SET EXEC-CALL LENGTH
0730			IBUFL	TO FIVE ASCII CHARACTERS
0731			OUT	AND OUTPUT THE POINT
0732	¥	JMP	TKPLT,I	VETOVN
0733 0734	* *			
0735		HED	TN	
0122		ענוו	- 11 11	

0736	¥			
0737	IN	NOP		
0738		JSB	EXEC	CALL RTE/DOS EXEC FOR A READ
0739		DEF	<b>*</b> +5	OPERATION
0740		DEF	ICOD1	
0741		DEF	ICNWD	
0742		DEF	IBUFR	
0743		DEF	IBUFL	
0744			IN,I	
0745	¥	om	±11 g ±	
0746	¥			
0747		นตก	OUT	
	¥	пер	001	
0748		NOD		
0749	OUT	NOP		
0750		JSB	EXEC	CALL RTE/DOS EXEC FOR A WRITE
0751			<b>*</b> +5	OPERATION
0752		DEF	ICOD2	
0753		DEF	ICNWD	
0754		DEF	IBUFR	
0755		DEF	IBUFL	
0756		JMP	OUT,I	
0757	¥			
0758	¥			
0759		HED	ENTRY	
0760	¥			
0761	¥	THIS	SUBROUTIN	E SETS UP POINTERS TO THE CALLING
0762	¥	PROG	RAM'S RETU	RN ADDRESS AND ARGUMENT LIST .
0763	¥			
0764	¥			
0765	ENTRY	NOP		
0766			ENTRY	GET (ADDRESS+2) OF OUR CALLER
0767			M2	SUBTRACT OFF THE TWO
0768				FIND WHERE HE WAS CALLED FROM
0769			INDR	
0770			RETAD	AND SAVE POINTER TO RETURN ADDRESS
0771				AND SAVE FOINTER TO RETORN ADDITION
		INA		AND SAVE FOR THE ROUTINE
0772			ARGAD	
0773	*	JMP	ENTRY,1	RETURN TO LOCAL ROUTINE
0774				
0775	Ŧ	<b></b>		
0776		END		

0001		
0001 0002	ASMB, R, F	
0002	-	
_	HED ** REAL-TIME UTILITY ROUTINE - "S	SYMB" ##
0004	NAM SYMB,7	
0005		
0006	ENT SYMB	
0007	*	
8000	EXT PLOT, SIN, COS, . ENTR, . FDV, ERRO	
0009	*	
0010	*	
0011	WRITTEN BY JOHN CARLYLE	
0012	*	
0013	¥	
0014	***************************************	*******
0015	¥	
0016	* ROUTINE: SYMB (SYMBOL)	
0017	¥	
0018	FORTRAN LINKAGE-	
0019	<pre>* CALL SYMB(X,Y,SIZE,BCD,THETA,N)</pre>	
0020	*	
0021	* -CALLING SEQUENCE-	
0022	* JSB SYMB	
0023	* DEF *+7	
0024	* DEF X	
0025	* DEF Y	
0026	* DEF SIZE	
0020	* DEF BCD	
0028	* DEF THETA	
0020	* DEF N	
0029		
0030		· እለጥፑዓ
0032		
0032		
0033		
0034		
• -		
0036		
0037		10 IU
0038	•	
0039		
0040		FUINI
0041	······································	
0042		TATNO
0043		
0044		
0045		
0046		IN WORD
0047		
0048		
0049	2. N = O TO DESIGNATE THAT ON	ILI UNE

0050 \* CHARACTER IS TO BE DRAWN. THE 0051 Ť CHARACTER IS THE LOWER CHARACTER 0052 \* IN THE WORD SPECIFIED BY BCD. 0053 ¥ ¥ 0054 3. N IS A NEGATIVE INTEGER TO MEAN 0055 \* THAT THE BCD VALUE IS AN INTEGER ¥ 0056 VALUE SPECIFYING A SPECIAL SYMBOL. ¥ 0057 (BCD) IS A POINTER TO THE SPECIAL ¥ 0058 SYMBOL TABLE (TAB2). ¥ 0059 ¥ 0060 N = -1INDICATES PEN UP ¥ 0061 N < -1 INDICATES PEN DOWN TO 0062 \* DRAW A LINE FROM CURRENT ¥ 0063 POSITION TO POSITION (X,Y) 0064 0065 ¥. 0066 0067 X DEF FL999 PARAMETER AREA 0068 Y DEF FL999 (SET BY .ENTR AFTER CALL) 0069 SIZE DEF OFCT (INITIALIZED TO FIXED VALUES 0070 BCD DEF C.02 TO PROTECT ROUTINE FROM SHORT 0071 THETA DEF OTHET PARAMETER LIST). 0072 N DEF CM.8 0073 ¥ 0074 ¥ SYMB NOP 0075 0076 JSB .ENTR SET UP PARAMETER 0077 DEF SYMB-6 LINKAGE AREA 0078 \* 0079 LDA C.03 INITIALIZE PEN TO 0800 STA PEN UP POSITION. LDA N,I 0081 CHECK -N-0082 SSA, RSS IF N >= 0, GO TO 0083 JMP S1 SET FOR ARRAY PLOT. 0084 ÷ 0085 # SPECIAL CHARACTER (N < 0) -0086 0087 LDB C.02 8800 CMA, SZA IF N<=-1 THEN SET PEN=2 FOR PEN DOWN CONDITION. 0089 STB PEN SET CHCNT = -1 FOR ONE CHAR 0090 CCA STA CHCNT TO BE DRAWN. 0091 SET TABA TO REFERENCE TAB2 -0092 LDA TAB2A STA TABA SPECIAL CHARACTER TABLE. 0093 GET CHARACTER VALUE, SAVE AS 0094 LDA BCD.I STA CHAR INDEX TO TAB2. 0095 SUBTRACT 15(8) TO CHECK FOR 0096 ADA CM15 RANGE O TO 14 (CENTERED CHAR) SSA, RSS 0097 -NORMAL OFFSET- (GT 14(8)) 0098 JMP S2

0099 LDA F4A SET DIVISOR OF SIZE = 4 0100 JMP S2+1 GO TO CHECK X.Y. 뽚 0101 0102 # ASCII CHARACTER PLOT (ARRAY OR SINGLE CHARACTER) 0103 ¥ 0104 S1 CMA, INA SET N NEGATIVE -0105 STA B (SAVE TEMPORARILY) 0106 SZA, RSS IF N = 0 (SINGLE CHAR PLOT), 0107 CCA SET N = -1. 0108 STA CHCNT SET N AS INDEX FOR CHAR. COUNT. 0109 \* 0110 LDA BCD GET ARRAY ADDRESS - CONVERT TO 0111 RAL CHAR. ADDRESS (UPPER CHAR) 0112 SZB, RSS IF SINGLE CHAR. OUTPUT, SET ADDR. 0113 INA TO LOWER (BIT 0 = 1) 0114 STA ARRAD SAVE ADDRESS. 0115 LDA TAB1A SET TABLE ADDRESS = TAB1A TO 0116 STA TABA REFERENCE ASCII SET TABLE. ¥ 0117 LDA F7A 0118 S2 SET DIVISOR OF SIZE = 70119 STA DIV 0120 DLD SIZE.I GET SIZE PARAMETER, DIVIDE BY 0121 JSB .FDV 7 OR 4 (FLPT) FOR OFFSET. 0122 DIV NOP (ADDR OF F7 OR F4 - SET AT S2+1) 0123 DST FCT SET FACTOR (SIZE/DIV). 0124 0125 \* CHECK FOR NEW THETA (ROTATIONAL) PARAMETER 0126 0127 DLD THETA, I CHECK NEW THETA 0128 CPA OTHET AGAINST OLD THETA VALUE 0129 (INITIALIZED TO O-DEGREES.) RSS 0130 JMP S3 -NEW-0131 CPB OTHET+1 0132 JMP S4 -SAME AS OLD VALUE-0133 ¥ 0134 \* CONVERT THETA TO RADIANS, COMPUTE SIN, COS 0135 ¥ 0136 S3 DST OTHET SAVE AS NEW OLD-THETA CONVERT DEGREES TO RADIANS 0137 FMP RADN 0138 DST TEMP1 JSB SIN CALCULATE SINE 0139 0140 JSB ERRO DST INCS 0141 0142 DLD TEMP1 0143 JSB COS CALCULATE COSINE 0144 JSB ERRO 0145 DST INCC 0146 DLD FCT 0147 JMP S5

0148 # 0149 \* CHECK FOR NEW FACTOR PARAMETER (SIZE/DIV) 0150 ¥ 0151 S4 DLD FCT CHECK FOR CHANGE IN 0152 CPA OFCT FACTOR 0153 RSS 0154 JMP S5 -NEW-0155 CPB OFCT+1 0156 JMP S8 -SAME AS OLD VALUE ¥ 0157 \* CALCULATE POINT FACTORS FOR POINT (X1,Y1) 0158 0159 ¥ 0160 **S**5 DST OFCT SET NEW VALUE AS OLD FACTOR 0161 FMP INCC CALCULATE XA1 = FCT # INCC 0162 DST XA1 0163 DLD OFCT 0164 FMP INCS CALCULATE YA1 = FCT \* INCS 0165 DST YA1 0166 ¥ \* CALCULATE POINT FACTORS FOR 10X10 MATRIX (2 TO 9) 0167 0168 ¥ 0169 LDA XA2A SET ADDR. FOR 0170 STA TEMP1 XA(2)LDA CM.8 0171 SET INDEX FOR RANGE STA TEMP2 0172 XA(2) TO XA(9)0173 DLD XA1 XA(I) = XA(1) + XA(I-1)0174 S6 FAD XA1 SET XA(I) FOR I = 2-90175 DST TEMP1,I ISZ TEMP1 0176 -SET ADDR. ISZ TEMP1 0177 FOR NEXT FLPT NUMBER. 0178 ISZ TEMP2 INDEX FOR 2 TO 9 0179 JMP S6 -CONTINUE 0180 \* 0181 LDA YA2A REPEAT 0182 STA TEMP1 ABOVE 0183 LDA CM.8 PROCESSING 0184 STA TEMP2 FOR 0185 DLD YA1 YA(2) TO YA(9)0186 S7 FAD YA1 ACCORDING TO: DST TEMP1,I 0187 YA(I) = YA(1) + YA(I-1)0188 ISZ TEMP1 0189 ISZ TEMP1 0190 ISZ TEMP2 0191 JMP S7 0192 ¥ 0193 \* PROCESS X, Y COORDINATES IN CALL 0194 Ħ IF -X- IS GT OR = TO 0195 **S**8 DLD X,I 0196 FSB FL999 999.0,

0197 SSA, RSS THEN USE JMP S9 0198 PREVIOUS X-ORIGIN 0199 \* SET X-ORIGIN: 0200 DLD X,I 0201 FSB XA2 0202 FAD YA2 XORG = X - XA(2) + YA(2)DST XORG 0203 0204 ¥ 0205 S9 DLD Y,I IF -Y- IS GT OR = TO 0206 FSB FL999 999.0, 0207 SSA, RSS THEN USE 0208 JMP S10 PREVIOUS Y-ORIGIN 0209 \* 0210 DLD Y,I SET Y-ORIGIN: 0211 FSB XA2 FSB YA2 0212 YORG = Y - XA(2) - YA(2)0213 DST YORG 0214 \* 0215 S10 LDB N,I IF N < 0, THEN SET 0216 LDA CHAR (A) = CHAR INDEX0217 SSB AND GO TO 0218 JMP S12 GET CHAR. OFFSETS. 0219 \* 0220 # EXTRACT CHAR FROM BCD ARRAY AND INDEX TO TABLES 0221 \* 0222 S11 LDA ARRAD GET CURRENT CHARACTER ADDRESS 0223 ISZ ARRAD - SET FOR NEXT CHARACTER ADDR.-0224 CLE, ERA CONVERT TO WORD ADDR - POSITION 0225 LDA A.I IN E. GET WORD AND POSITION 0226 SEZ, RSS UPPER (=0) OR LOWER (=1) 0227 ALF, ALF CHARACTER 0228 AND M77 IN A. (USE ONLY LOW 6-BITS) 0229 \* SET APPROPRIATE TABLE 0230 S12 ADA TABA 0231 STA TEMP1 ADDRESS -0232 GET TABLE VALUE FOR -CHAR-LDA A,I 0233 GET ADDR OF FIRST OFFSET WORD AND M377 0234 IN OFFSET TABLE - CONVERT TO ADA TABLA 0235 RAL UPPER POSITION CHARACTER ADDRESS. 0236 STA OFFST 0237 LDA TEMP1,I GET TABLE WORD AGAIN. IF BIT 15 = 1, SET OFFSET ADDRESS 0238 SSA TO LOWER POSITION. 0239 ISZ OFFST 0240 ROTATE OFFSET COUNT TO ALF, ALF LOW A (7-BITS) AND SET 0241 AND M177 0242 CMA, INA NEGATIVE FOR INDEX FOR INDEX FACTORS 0243 STA OFFCT 0244 ÷ 0245 \* EXTRACT AND PROCESS EACH OFFSET PAIR FOR CHARACTER

0246	¥		
	513	LDA OFFST	
0248		ISZ OFFST	ADDRESS, SET FOR NEXT ADDRESS.
0249		CLE, ERA	CONVERT TO WORD ADDR, SET POSI-
0250		LDA A,I	TION IN E, GET OFFSET WORD.
0251		SEZ	SHIFT OFFSET PAIR TO UPPER A,
0252			(X,Y) OF 8-BITS.
0253			ISOLATE AND
0254		STA B	SAVE X,Y.
0255			PUT X
0256		AND M17	IN LOW A,
0257		ALS	MULTIPLY BY 2
0258			AND SAVE FOR INDEX TO XA-ARRAY
0259			PUT
0260		ALF, ALF	
0261		AND M17	
0262		ALS	BY 2
0263		STA TEMP2	
0264		LDA M36	IF X OFFSET = $17(8)$ FOR
0265		LDB C.03	
0266		CPA TEMP1	GO TO SET IC AND GET
0267		JMP S14	NEXT OFFSET PAIR.
0268	¥		
0269		LDA XAD	
0270		ADA TEMP1	XA-ARRAY FOR X-OFFSET
0271		STA TEMP3	
0272			COMPUTE ADDRESS OF
0273		ADA TEMP2	YA-ARRAY FOR Y-OFFSET
0274		STA TEMP4	
0275		DLD XORG	COMPUTE:
0276		FAD TEMP3,I	
0277			XT = XORG + XA(KX) - YA(KY)
0278		DST XT	
0279	*		
0280			COMPUTE ADDRESS OF
0281		ADA TEMP1	YA-ARRAY FOR X-OFFSET
0282		STA TEMP3	
0283			COMPUTE ADDRESS OF
0284		ADA TEMP2	XA-ARRAY FOR Y-OFFSET
-		STA TEMP4	0.01/DUMD
0286		DLD YORG	
0287		FAD TEMP3,I	
0288			YT = YORG + YA(KX) + XA(KY)
0289		DST YT	
	¥ ONT		
-		L FOR PLOT FO	DR CURRENT XT,YT
0292		זת מסז	
0293 0294		JSB PLOT DEF #+4	
0294		DEL .+4	

0295 0296 0297 0298 0299	*	DEF DEF DEF	YT	
0300 0301 0302	S14 ¥	LDB STB	C.02 PEN	SET FOR PEN DOWN
0303 0304 0305	*		OFFCT S13	INDEX CHARACTER OFFSET COUNT - MORE TO PROCESS -
	* SET *	X-0]	RIGIN AND	Y-ORIGIN FOR NEXT CHARACTER.
0308		DLD	XORG	
0309		FAD	XA7	X-ORIGIN = X-ORIGIN + XA(7)
0310		DST	XORG	
0311	¥			
0312		DLD	YORG	
0313		FAD	YA7	Y-ORIGIN = Y-ORIGIN + YA(7)
0314		DST	YORG	
0315		LDA	C.03	
0316		STA	PEN	
0317	¥			
0318			CHCNT	INDEX CHARACTER COUNTER
0319		JMP	S11	- MORE TO PLOT -
0320	¥			
0321	* CAL	L TO	SYMB COM	PLETED
0322	¥			
0323		JMP	SYMB,I	
0324	¥			
0325	¥			
0326	* CON	STAN	r, flag Al	ND STORAGE SECTION
0327	¥			
0328	A	EQU		А, В
0329	B	EQU	1	REGISTERS
0330	*			
0331	C.02	DEC		
	C.03	DEC		
		DEC		
_	-	DEC	-15	
0335	*			
	M17	OCT		
-	M36	OCT		
			77	
	M177			
	M377			
0341	M1774	OCT	177400	
0342		ספת	000 0	
0343	FL999	DEC	777.0	

0344 ¥ 0345 F4A DEF F4 0346 F4 DEC 4.0 0347 F7A DEF F7 0348 F7 DEC 7.0 0349 ¥ 0350 PEN NOP 0351 ¥ 0352 CHCNT NOP 0353 CHAR NOP 0354 OFFST NOP 0355 OFFCT NOP 0356 ARRAD NOP 0357 ÷. 0358 TEMP1 NOP TEMPORARY 0359 TEMP2 NOP 0360 TEMP3 NOP STORAGE 0361 TEMP4 NOP 0362 ¥ 0363 INCS DEC 0. 0364 INCC DEC 1.0 0365 ¥ 0366 FCT DEC 0. OFCT DEC .02 FOR .14 INCH INCREMENTS (.01 FOR .07) 0367 0368 ¥ 0369 OTHET DEC 0. INITIALIZE TO ZERO DEGREES ROTATION 0370 0371 RADN DEC .0174533 FACTOR FOR DEGREES TO RADIANS 0372 ¥ 0373 ¥ ¥ 0374 0375 XAD DEF XAO 0376 XA2A DEF XA2 ¥ 0377 0378 XAO DEC .00 INITIAL 0379 XA 1 DEC .02 VALUES 0380 XA2 DEC .04 SET 0381 DEC .06 XA3 FOR 0382 XA4 DEC .08 .14 INCH INCREMENTS 0383 XA5 DEC .10 0384 XA6 DEC .12 0385 (FOR .07 INCH INCREMENTS, DEC .14 XA7 DEC .16 HALVE VALUES) 0386 XA8 0387 DEC .18 XA9 0388 Ħ Ħ 0389 ¥ 0390 0391 YAD DEF YAO 0392 YA2A DEF YA2

```
0393
     Ħ
0394
     YAO
           DEC 0.
                                          ١
0395
     YA1
           DEC O.
0396
     YA2
           DEC 0.
0397
     YA3
           DEC 0.
0398
     YA4
            DEC 0.
0399
     YA5
           DEC 0.
0400 YA6
           DEC 0.
0401
           DEC 0.
     YA7
0402
     YA8
            DEC 0.
0403
     YA9
            DEC 0.
0404
     ¥
     ¥
0405
0406
      ¥
0407
     XORG
           DEC 0.
0408
     YORG DEC O.
0409
     ¥
0410 XT
            DEC 0.
0411
     ΥT
            DEC 0.
0412
     ¥
0413
      ¥
0414
     TABA NOP
0415
     ¥
     TAB1A DEF TAB1
0416
     ×
0417
0418
     TAB2A DEF TAB2
0419
0420
      ¥
0421 * CHARACTER REFERENCE TABLES -
0422 *
0423
     ¥
         THE FOLLOWING TABLES (TAB1 AND TAB2) CONTAIN
0424 *
         THE INFORMATION TO ACCESS THE OFFSET TABLE
0425 *
          FOR EACH AVAILABLE CHARACTER.
0426
     ¥
0427 * EACH CHARACTER OR SPECIAL SYMBOL AVAILABLE
         FOR PLOTTING IS ASSOCIATED WITH ONE UNIQUE
0428 *
0429 *
          WORD IN ONE OF THE FOLLOWING TABLES.
0430
      Ħ
0431
     # EACH REFERENCE WORD CONTAINS THE FOLLOWING
     ¥
0432
         INFORMATION:
             1. RELATIVE ADDRESS OF WORD IN OFFSET TABLE
0433
     ¥
0434 *
                 FOR START OF OFFSET STRING
0435
     ¥
                  (BITS 07-00)
             2. NUMBER OF OFFSET PAIRS (8-BITS) IN STRING
0436
     Ħ
0437
                  (BITS 14-08)
     ¥
             3. STARTING POSITION OF STRING IN WORD,
     ¥
0438
0439
     ¥
                 O MEANS UPPER, 1 MEANS LOWER.
0440 *
                  (BIT 15)
0441
     ¥
```

0442	* TA	.B1 (	COMPRISES	S TH	E STA	NDARD	CHARAC'	TER SET	Γ	
		.B2 (	COMPRISES	S SP	ECIAI	L CHARA	CTERS .	AND		
0444	¥		CENTEREI	) SY	MBOLS	S WHICH	CAN B	E ACCES	SSED	
0445	¥		BY POSIT	TON	WHEN	N PARAM	ETER N	< 0. ]	IN CALL	-
0446	¥							-,-		-
0447	<b>*</b> 1	AB1	IS ORDERE	ED B	Y POS	SITION	DESIGN.	ATED BY	LOWER	
0448	¥		6-BITS C	DF A	SCII	CODE	(E.G.	$A = 10^{\circ}$	1 = 0.1	
0449	¥		- THIS TA	BLE	IS I	IMITED	TO 64	ENTRIF	r = 017	
0450	¥		TO 77.							
0451	¥									
0452	¥									
0453	* PC	S CN	T ADDR	CO	DE	CHARA	CTER			
0454	*									
0455	¥									
0456	TAB2	OCT	103641	1	7	241	00			
0457			106244	1	14		01			
0458			003252		6					
0459			003660		7	260	03			
0460			103663	1	7	263	04			
0461			003666	0	· 7	266	05			
0462			003671	Ō	7	271	06			
0463			004274	Ō	10					
0464			005700			300	•			
0465			003705	0		305	09			
0466			007310	Ō	16	310	10			
0467			006660	0	15	260	11			
0468			103316	1	6	316	12			
0469			002260	0	4	-				
0470			006252	0	14		14			
0471			101321	1	2	321	15			
0472			101325	1	2	325	16			
0473			102726	1	5	326	17			
0474		OCT		1	6	233	18			
0475		OCT		1	10	321	19			
0476		OCT	002731	0	5	331	20			
0477		OCT		1	5	333	21			
0478		OCT		1	6	236	22			
0479		OCT		0	3	346	23			
0480		OCT	004336	Ō	10	336	24			
0481		OCT		Ō	10	342	25			
0482	¥					-				
0483	¥									
0484	¥									
0485	TAB1	ОСТ	110347	1	20	347	00	(	<u>e</u>	
0486		OCT		0	11	0	01		A	
0487		OCT	106005	1	14	5	02		В	
0488				1	10	14	03		C	
0489		OCT	103404	1	7	4	04		D	
0490		OCT	-	O	7	22	05		Ξ	
				-	•					

0491 0492 0493 0494 0495 0496 0497 0498 0499 0500 0501 0502 0503 0504 0505 0506 0507 0508 0509 0510 0511	OCT 003022 OCT 006036 OCT 103025 OCT 003044 OCT 103047 OCT 003033 OCT 001425 OCT 102431 OCT 102431 OCT 102431 OCT 102431 OCT 004414 OCT 103453 OCT 006014 OCT 104453 OCT 006460 OCT 102066 OCT 003447 OCT 001473 OCT 002452 OCT 102474 OCT 002477 OCT 103467	0 0 1 0 1 0 1 0 1 0 1 0 1 0 0 1 0 1 0 1	6 14 6 6 6 6 3 5 4 1 7 4 1 5 4 7 3 5 5 5 7	22 36 25 44 32 31 30 13 51 50 66 73 52 77 67	06 07 10 11 12 13 14 15 16 17 20 21 23 24 26 27 31 32	F G H I J K L M N O P Q R S T U V W X Y Z
0511 0512 0513 0514 0515 0516 0517 0518 0519 0520 0521 0522 0523 0524 0525 0524 0525 0526 0527 0528 0529	OCT 103467 OCT 002156 OCT 001076 OCT 002160 OCT 002562 OCT 102564 OCT 100471 OCT 003574 OCT 004577 OCT 105603 OCT 006611 OCT 106217 OCT 105357 OCT 002152 OCT 002152 OCT 002154 OCT 002542 OCT 002542 OCT 103230	$\begin{array}{c} 1 \\ 0 \\ 0 \\ 0 \\ 1 \\ 1 \\ 0 \\ 1 \\ 0 \\ 1 \\ 0 \\ 0$	74245517113542444356	67 156 76 160 162 164 71 174 177 203 211 217 357 177 152 154 142 142 230	32 33 35 37 37 4 4 4 4 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	!"#\$%&*()) ₩
0529 0530 0531 0532 0533 0534 0535 0536 0537 0538 0539	OCT       103230         OCT       101143         OCT       102630         OCT       101074         OCT       105013         OCT       102501         OCT       004504         OCT       102110         OCT       105112         OCT       106113	1 1 1 1 1 0 0 1 1	o 2 5 2 12 5 11 15 4 12 14	230 143 230 74 13 101 104 124 110 112 113	54 55 56 57 60 61 62 63 64 65 66	, / 0 1 2 3 4 5 6

0540 0541 0542 0543 0544 0545 0546 0547 0548 0549 0550 0551	OCT 102521 1 5 121 67 7 OCT 010524 0 21 124 70 8 OCT 105534 1 13 134 71 9 OCT 105625 1 13 225 72 : OCT 106225 1 14 225 73 ; OCT 001635 0 3 235 74 < OCT 102547 1 5 147 75 = OCT 001640 0 3 240 76 > OCT 007167 0 16 167 77 ?
0554 0555 0556 0557	<ul> <li>CHARACTER - OFFSET - TABLE</li> <li>-EACH WORD CONTAINS 2 PAIRS OF X,Y OFFSETS,</li> <li>"X1Y1X2Y2", EACH PAIR IS 8-BITS AND 4</li> <li>BITS IN EACH PAIR SPECIFY THE X AND Y POINT</li> <li>FOR THE OFFSET.</li> </ul>
0558 0559 0560 0561 0562 0563 0564	<ul> <li>THE STRING OF OFFSET PAIRS FOR A CHARACTER MAY</li> <li>START IN THE UPPER OR LOWER POSITION OF A</li> <li>WORD. THE STARTING LOCATION, POSITION INDICATOR</li> </ul>
0565 0566 0567 0568 0569 0570	<pre>* * PORTIONS OF OFFSET STRINGS MAY OVERLAP OTHER * STRINGS WHEN LINE SEGMENTS AMONG CHARACTERS * ARE IDENTICAL. * * * * * * * * * * * * * * * * * * *</pre>
	TABLA DEF TABLE DEFINE STARTING ADDRESS OF TABLE * * OCTAL PAIRS ADDRESS SYMBOL
0574 0575 0576 0577	<pre>* TABLE OCT 021045 2-2 2-5 00 +A OCT 062445 6-5 2-5 OCT 024071 2-10 3-11</pre>
0578 0579 0580 0581 0582	OCT       054550       5-11       6-10         OCT       061131       6-2       5-11       -D         OCT       064143       6-10       6-3       -B         OCT       051042       5-2       2-2         OCT       024531       2-11       5-11
0583 0584 0585 0586 0587 0588	OCT $064147$ $6-10$ $6-7$ $10$ OCT $053046$ $5-6$ $2-6$ OCT $053145$ $5-6$ $6-5$ OCT $061527$ $6-3$ $5-7$ $-0$ OCT $064143$ $6-10$ $6-3$ $+Q,+0,-C$ OCT $051062$ $5-2$ $3-2$

0589	OCT 021450	2-3 2-10		
0590	OCT 034531	3-11 5-11		
0591	OCT 064360	6-10 17-0	20	
0592	OCT 042142	4-4 6-2	20	
0593	OCT 064451	6-11 2-11		
0594	OCT 023126			+E,+F
0595	OCT 023042			
0596		2-6 2-2		
=	OCT 061042	6-2 2-2		+L,-H
0597	OCT 024446	2-11 2-6		
0598	OCT 063151	6-6 6-11		
0599	OCT 061042	6-2 2-2	30	-N
0600	OCT 024542	2-11 6-2		-M
0601	OCT 064506	6-11 4-6		
0602	OCT 024442	2-11 2-2		<b>+</b> K
0603	OCT 022551	2-5 6-11		
0604	OCT 033142	3-6 6-2		
0605	OCT 072525	7-5 5-5		<b>+</b> G
0606	OCT 062543	6-5 6-3		
0607	OCT 051062	5-2 3-2	40	
0608	OCT 021450	2-3 2-10		
0609	OCT 034531	3-11 5-11		
0610	OCT 064147	6-10 6-7		
0611	OCT 051062	5-2 3-2		+I
0612	OCT 041111	4-2 4-11		· <u>-</u>
0613	OCT 034531	3-11 5-11		
0614	OCT 024444	2-11 2-4		+U,-J
0615	OCT 021462	2-3 3-2	50	10,40
0616	OCT 051143	5-2 6-3	50	
0617	OCT 064542	6-11 6-2		+W
0618	OCT 043042	4-6 2-2		-P,-R
0619	OCT 024531	2-11 5-11		-1,-11
0620		=		
	OCT 064147			
0621	OCT 053046			
0622	OCT 043142		(0)	. 0
0623	OCT 022043	2-4 2-3	60	+S
0624	OCT 031122	•		
0625	OCT 061545			
0626	OCT 053066	5-6 3-6		
0627	OCT 023450	2-7 2-10		
0628	OCT 034531	3-11 5-11		
0629	OCT 064102	6-10 4-2		-T
0630	OCT 044451	4-11 2-11		– Z
0631	OCT 064442	6-11 2-2	70	
0632	OCT 061360			-(PEN UP)
0633	OCT 033126	3-6 5-6		
0634	OCT 024502			+V
0635	OCT 064442			-X,-/
0636		6-11 17-0		-
0637	OCT 024542			+
	JUI ULAJAL			

0638	OCT 024506	2-11 4-6		+Y
0639	OCT 041106	4-2 4-6	100	_
0640	OCT 064522	6-11 5-2		-1
0641	OCT 031102	3-2 4-2		
0642	OCT 044470	4-11 3-10		
0643	OCT 023450	2-7 2-10		+2
0644	OCT 034531	3-11 5-11		
0645	OCT 064147	6-10 6-7		
0646	OCT 021442	2-3 2-2		
0647	OCT 061122	6-2 5-2	110	-4
0648	OCT 054444	5-11 2-4		
0649	OCT 062151	6-4 6-11		-5
0650	OCT 024446	2-11 2-6		-6
0651	OCT 053145	5-6 6-5		
0652	OCT 061522	6-3 5-2		
0653	OCT 031043	3-2 2-3		
0654	OCT 022050	2-4 2-10		
0655	OCT 034531	3-11 5-11	120	
0656	OCT 064050	6-10 2-10		-7
0657	OCT 024551	2-11 6-11		
0658	OCT 064102	6-10 4-2		<b>0</b> -
0659	OCT 024071	2-10 3-11		+8,+3
0660	OCT 054550	5-11 6-10		
0661	OCT 063526	6-7 5-6		
0662	OCT 033126	3-6 5-6	400	
0663 0664	OCT 062543	6-5 6-3	130	
0665	OCT 051062	5-2 3-2		
0666	OCT 021445	2-3 2-5		
0667	OCT 033047 OCT 024043	3-6 2-7 2-10 2-3		+9
0668	OCT 024043	-		+9
0669	OCT 061550	3-2 5-2 6-3 6-10		
0670	OCT 054471	5-11 3-11		
0671	OCT 024046	2-10 2-6	140	
0672	OCT 024040	3-5 6-5	140	
0673	OCT 041507	4-3 4-7		++,+*
0674	OCT 042445	4-5 2-5		
0675	OCT 062505	6-5 4-5		
0676	OCT 021547	2-3 6-7		
0677	OCT 042447	4-5 2-7		
0678	OCT 061446	6-3 2-6		-=
0679	OCT 063360	6-6 17-0	150	
0680	OCT 021543	2-3 6-3		
0681	OCT 041063	4-2 3-3		+(
0682	OCT 034111	3-10 4-11		-
0683	OCT 041123	4-2 5-3		+)
0684	OCT 054111	5-10 4-11		
0685	OCT 051062	5-2 3-2		+[
0686	OCT 034531	3-11 5-11		
		-		

0687		031122	3-2	5-2	160	+]
0688		054471	5-11	3-11		-
0689		041111	4-2	4-11		+
0690		034130	3-10	5-10		
0691	OCT	044545	4-11	6-5		
0692	OCT	022466	2-5	3-6		
0693	OCT	032045	3-4	2-5		
0694		023450	2-7			+?
0695	OCT	034531		5-11	170	•
0696		064147	6-10			
0697		053106	5-6	4-6		
0698		042360	4-4			
0699		031122	3-2	•		+!
0700		041462	4-3	-		•
0701		170104	17-0	-		
0702	OCT	-	4-11			+',+"
0703	OCT			4-11	200	• • •
0704		170051		2-11	200	
0705	OCT		2-7			
0706		024463	2-11	-		-#
0707		033466	3 <del>-</del> 7			- 11
0708		023146	2 <b>-</b> 6	5-0 6-6		
0709		053127	2-0 5-6	0-0 5-7		
0709		051524	5-0 5-3	5-7 5-4		
0710		062044	6-4		210	
0712		022044		2 <b>-</b> 4 3 <b>-</b> 3	210	+\$
0712		051544				<b>+</b> φ
. –			5 <b>-</b> 3	6-4		
0714	OCT OCT		6-5			
0715		023470		3-10		
0716		054147	5-10	•		
0717		170111	-	4-11		4
0718		041050	4-2	2-10	000	-%
0719		034071	-	3-11	220	
0720		024360		17-0		
0721		021151	2-2			
0722		170142	17-0			
0723		061522	6-3			
0724		061107	6-2	-		
0725		043126	4-6			
0726		053507	5-7			
0727		170123	17-0			
0728		041504	4-3			
0729		052123	5-4	-		
0730		041043	4-2	-		
0731		061760	-	17-0		
0732	OCT	062046	6-4			+>
0733		064043	6-10			-
0734		061760	-	17-0		
0735	OCT	022146	2-4	6-6	240	+>
				-		
				-258-		

0736	OCT 024042	2-10 2-2	
0737	OCT 042004	4-4 0-4	
0738	OCT 000100	0-0 4-0	
0739	OCT 042042	4-4 2-2	
0740	OCT 022024	2-4 1-4	
0741	OCT 001401	0-3 0-1	
0742	OCT 010060	1-0 3-0	
0743	OCT 040503	4-1 4-3	250
0744	OCT 032044	3-4 2-4	250
0745	OCT 021044	2-2 2-4	
0746	OCT 000501	0-1 $4-1$	
0747	OCT 022042	2-4 2-2	
0748	OCT 021403	2-3 0-3	
0749	OCT 020103	2-0 4-3	
0750	OCT 021442	2-0 4-5 2-3 2-2	
0751	OCT 021044	2-2 2-4	260
0752	OCT 020042	2-2 2-4	200
0753	OCT 020042	0-2 4-2	
0754	OCT 021004	2-2 0-4	
0755	OCT 040042	4-0 2-2	
0756	OCT 000104		
0757	OCT 021044	0-0 $4-4$	
0758	OCT 001040	2-2 2-4	
0759		0-2 2-0 4-2 2-4	270
	OCT 041044 OCT 021002		270
0760		2-2 0-2	
0761 0762	OCT 022040	2-4 2-0	
0763	OCT 022102 OCT 021004	2-4 4-2	
0764	OCT 021004 OCT 042042	2-2 0-4	
0765	OCT 000042	4-4 2-2 0-0 2-2	
0766	OCT 040042	4-0 2-2	
•	_	-	200
0767	OCT 021022	2-2 1-2	300
0768	OCT 031042	3-2 2-2	
0769	OCT 042004	4-4 0-4	
0770	OCT 042000	4-4 0-0 4-0 0-0	
0771	OCT 040000	-	
0772	OCT 021004		
0773	OCT 021104	2-2 4-4 2-2 2-0	
0774	OCT 021040		310
0775	OCT 021104		210
0776	OCT 031423	3-3 1-3	
0777	OCT 002023	0-4 1-3 1-1 0-0	
0778	OCT 010400	1-1 0-0 1-1 3-1	
0779	OCT 010461	-	
0780	OCT 040061	4-0 3-1 3-3 2-2	
0781	OCT 031442		
0782	OCT 002104		320
0783	OCT 000100 OCT 021042	0-0 4-0 2-2 2 <b>-</b> 2	520
0784	OCT 021042	L=L L=L	

0785 0786 0787 0788 0789 0790		OCT ( OCT ( OCT ( OCT ( OCT (	061360 022545 170050 064051 021111 041063	6-10 2-2 4-2	4-11 3-3		-1,#16 -
0791 0792		OCT (	051502 022545	5 <b>-</b> 3 2 <b>-</b> 5	4-2 6-5	330	+
0793			053124	5-6	5-4		
0794			062562		7-2		
0795			021126	2-2			
0796 0797			024571	2-11	•		
0798			023146	2-6	6-6		+
0790			170043 061760	17-0	-	210	
0800			053462	6-3 5-7	17-0 3-2	340	
0801			021543	2-3	5-2 6-3		
0802			170046	17-0	-		+
0803			063106	6-6	4-6		
0804			044104	4-10		345	
0805			021507	2-3	4-7	5.5	+
0806			061544	6-3	•		-@
0807		OCT (	051463	5-3	3-3	350	
0808		OCT (	022047	2-4	2-7		
0809			034130	3-10	5-10		
0810			063545	6-7	6-5		
0811			052104	5-4			
0812			032466	3-5	3-6		
0813			043527	-	5-7		
0814			063142	6-6 6			
0815			033470	3-73-			
0816			044530	4-11	-		
0817 0818			022444 031503	2-5 2 3-3 3			
0819			062000	5-3 : 6-4	)-4		
0820	¥	001 (	002000	0-4			
0821	¥						
0822		END					

0001 FTN4 0002 C 0003 PROGRAM PLTME 0004 C 0005 C 0006 C THIS PROGRAM WILL MAKE A TIME DOMAIN PLOT OF AN ACOUSTIC C EMISSION SIGNAL RECORDED ON THE KENNEDY 9000 TAPE DECK. 0007 0008 C THE USER HAS THE OPTION OF VIEWING THE WAVEFORMS ONLY, OR 0009 C VIEWING AND WRITING GOOD WAVEFORM NUMBERS TO A DISC FILE. 0010 С 0011 C 0012 C WRITTEN BY JOHN CARLYLE 0013 C 0014 C 0015 DIMENSION LU(5), IREG(2), INBUF(36), IPBUF(10), IBUF(36) 0016 DIMENSION IDCB1(144), ITPNM(12), LVOLT(3), LTIME(6) 0017 DIMENSION TRX(2048), NTAPE(1024), IREC2(512) 0018 EQUIVALENCE (REG, IREG), (TRX(1537), NTAPE) 0019 EQUIVALENCE (NTAPE(513), IREC2) 0020 LOGICAL VIEW.EOF 0021 DATA ICNT/1/, IUSLA/17537B/, EOF/.FALSE./, VIEW/.TRUE./ 0022 DATA LVOLT/2HV0,2HLT,2HS /,MINUS/26400B/ 0023 DATA LTIME/2HMI,2HCR,2HOS,2HEC,2HON,2HDS/ 0024 C 0025 C RECOVER PARAMETERS, REWIND TAPE, AND DETERMINE MODE 0026 C 0027 CALL RMPAR(LU) 0028 IF(LU(1).EQ.0) LU(1)=10029 ILU=LU(1)+400B0030 CALL EXEC(3,410B) 0031 CALL PLTLU(LU(1)) 0032 WRITE(LU(1),10) 10 FORMAT("/PLTME: VIEW WAVEFORMS ONLY? \_") 0033 0034 READ(LU(1), 20) IV 0035 20 FORMAT(A2) 0036 IF(IV.EQ.47117B) VIEW=.FALSE. 0037 IF(VIEW) GO TO 210 0038 C 0039 C GET 'NAMR' INFORMATION AND CREATE FILE FOR NON-VIEW MODE 0040 C 0041 30 WRITE(LU(1).40)40 FORMAT("/PLTME: ENTER 'NAMR' FOR DATA FILE: \_") 0042 0043 REG=EXEC(1,ILU,INBUF,-72) 0044 ISCHR=1 IF(NAMR(IPBUF, INBUF, IREG(2), ISCHR)) 30,50 0045 0046 50 IREG(1) = -10047 IREG(2)=0CALL CREAT(IDCB1, IERR, IPBUF, IREG, 3, IPBUF(5), IPBUF(6)) 0048 IF(IERR.GE.O) GO TO 70 0049

0050 ITRY=ITRY+1 0051 IF(ITRY.GE.3) GO TO 110 0052 WRITE(LU(1),60) IERR 60 FORMAT("/PLTME: FILE ERROR ",14,". TRY AGAIN!",/) 0053 0054 GO TO 30 0055 C 0056 C GET HEADER DATA AND WRITE IT TO DATA FILE FOR NON-VIEW MODE 0057 C 0058 70 WRITE(LU(1), 80) 80 FORMAT("/PLTME: TYPE IN ONE LINE OF HEADER DATA.",/) 0059 REG=EXEC(1,ILU,INBUF,36) 0060 0061 CALL CODE(IREG(2) $\ddagger$ 2) 0062 READ(INBUF, \*) (TRX(I), I=1,5) 0063 IF(TRX(1).NE.O.O) GO TO 140 0064 IF(ITRY.NE.O) GO TO 100 0065 DO 90 I=1,36 0066 IBUF(I)=INBUF(I) 0067 90 CONTINUE 0068 INDNT=(73-IREG(2)\*2)\*7 0069 ITRY=1 0070 100 CALL WRITF(IDCB1, IERR, INBUF, IREG(2)) 0071 IF(IERR.GE.O) GO TO 70 0072 110 WRITE(LU(1),120) IERR 120 FORMAT("/PLTME: FILE ERROR ",14,". ABORTING PROGRAM!",/) 0073 130 CALL PURGE(IDCB1, IERR, IPBUF, IPBUF(5), IPBUF(6)) 0074 0075 GO TO 620 140 VOLTS=TRX(1) 0076 0077 RATE=TRX(2)CALL WRITF(IDCB1, IERR, INBUF, IREG(2)) 0078 0079 IF(IERR.LT.O) GO TO 110 0800 150 WRITE(LU(1), 160) 160 FORMAT("/PLTME: ENTER TAPE FILE NUMBER: \_") 0081 0082 REG=EXEC(1,ILU,INBUF,36) 0083 CALL CODE(IREG(2) $\ddagger$ 2) READ(INBUF, \*) IFILE 0084 0085 IF(IFILE.LE.O) GO TO 150 CALL WRITF(IDCB1, IERR, INBUF, IREG(2)) 0086 0087 IF(IERR.LT.O) GO TO 110 0088 C 0089 C POSITION TO PROPER TAPE FILE FOR BOTH MODES 0090 C 170 IF(ICNT.EQ.IFILE) GO TO 200 0091 0092 ICNT=ICNT+1 0093 CALL EXEC(3,1310B) 0094 REG=EXEC(3,610B)0095 IREG(1) = IAND(73B, IREG(1))0096 IF(IREG(1).EQ.0) GO TO 170 0097 180 WRITE(LU(1), 190) IREG(1) 190 FORMAT("/PLTME: MAG TAPE STATUS = ",03,"B. ABORTING ", 0098

0099 0100 0101 0102 0103			+"PROGRAM!",/) GO TO 130 IF(VIEW) GO TO 250 IWAVE=IWAVE+1 GO TO 360
0104 0105 0106	С С С		I WAVEFORM DATA FOR VIEWING ONLY MODE
0107	U	210	WRITE(LU(1),220)
0108 0109		220	FORMAT("/PLTME: ENTER GRAPH TITLE:") REG=EXEC(1,ILU,IBUF,-72)
0110			INDNT=(73-IREG(2))*7
0111 0112		230	WRITE(LU(1),230) FORMAT("/PLTME: ENTER ATTENUATOR SETTING AND CANDITIC T
0113		200	FORMAT("/PLTME: ENTER ATTENUATOR SETTING AND SAMPLING ", +"RATE:")
0114			READ(LU(1), *) VOLTS, RATE
0115 0116		240	WRITE(LU(1),160) READ(LU(1),*) IFILE
0117			IF(IFILE.LE.O) GO TO 240
0118 0119		250	GO TO 170 ICNT=0
0120		-	ICNT=ICNT+1
0121			WRITE(LU(1),280)
0122 0123		200	FORMAT("/PLTME: ENTER WAVEFORM NUMBER") READ(LU(1),*) IWAVE
0124			IF(IWAVE.LE.O) GO TO 270
0125 0126	С		IF(IWAVE-ICNT) 340,360,290
0120	C		SITION TO PROPER RECORD FOR VIEWING MODE
0128	С		
0129 0130		290	IF(IWAVE.EQ.ICNT) GO TO 360 ICNT=ICNT+1
0131			DO 300 I=1,2
0132			CALL EXEC(3,310B)
0133 0134			REG=EXEC(3,610B) IREG(1)=IAND(373B,IREG(1))
0135			IF(IREG(1).EQ.200B) EOF=.TRUE.
0136 0137		200	IF(IREG(1).LT.200B.AND.IREG(1).NE.0) GO TO 180 CONTINUE
0138		200	IF(.NOT.EOF) GO TO 290
0139			WRITE(LU(1),320)
0140 0141		320	FORMAT("/PLTME: WAVEFORM NUMBER TOO BIG!",/) EOF=.FALSE.
0142			DO 330 I=1,2
0143			CALL EXEC(3,1410B)
0144 0145			REG=EXEC(3,610B) IREG(1)=IAND(73B,IREG(1))
0146			IF(IREG(1).NE.0) GO TO 180
0147		330	CONTINUE

0148 IF(IFILE.EQ.1) GO TO 250 0149 CALL EXEC(3,310B) 0150 GO TO 250 0151 340 IF(IWAVE.EQ.ICNT) GO TO 360 0152 ICNT=ICNT-1 0153 DO 350 I=1,2 0154 CALL EXEC(3,210B) 0155 REG=EXEC(3,610B)0156 IREG(1) = IAND(373B, IREG(1))0157 IF(IREG(1).NE.0) GO TO 180 0158 350 CONTINUE 0159 GO TO 340 0160 C C READ IN DATA AND UNPACK IT FOR BOTH MODES 0161 0162 C 0163 360 CALL ERASE(LU(1)) 0164 CALL EXEC(1,110B,NTAPE,512) 0165 REG=EXEC(3,610B)0166 IREG(1)=IAND(373B, IREG(1))0167 IF(IREG(1).EQ.200B) EOF=.TRUE. 0168 IF(IREG(1).LT.200B.AND.IREG(1).NE.0) GO TO 180 0169 IF(EOF) GO TO 370 0170 CALL EXEC(1,110B, IREC2, 512) 0171 REG=EXEC(3,610B)0172 IREG(1)=IAND(373B, IREG(1))0173 IF(IREG(1).EQ.200B) EOF=.TRUE. 0174 IF(IREG(1).LT.200B.AND.IREG(1).NE.0) GO TO 180 0175 IF(.NOT.EOF) GO TO 380 0176 370 IF(VIEW) GO TO 310 0177 GO TO 570 0178 380 DO 390 L=1,2047,2 0179 LN=(L+1)/20180 L2=L+1IREG(2)=IAND(377B,NTAPE(LN)) 0181 0182 IREG(1)=JSHFT(NTAPE(LN),8) 0183 IREG(1)=IAND(377B, IREG(1))0184 TRX(L) = FLOAT(IREG(1) - 128)0185 TRX(L2) = FLOAT(IREG(2) - 128)0186 390 CONTINUE 0187 С C FIND MAX AND MIN OF DATA AND OBTAIN MAGNIFIER FOR BOTH MODES 0188 0189 С 0190 TMAX = -1280191 **TMIN=127** 0192 DO 400 I=1,2048 TMAX=AMAX1(TMAX,TRX(I)) 0193 0194 TMIN=AMIN1(TMIN.TRX(I)) 0195 400 CONTINUE IF(TMAX.LE.64.0.AND.TMIN.GE.-64.0) GO TO 410 0196

Source Code of Program PLTME

```
0197
            IMAG = 1
0198
            GO TO 430
        410 IF(TMAX.LE.25.0.AND.TMIN.GE.-25.0) GO TO 420
0199
0200
            IMAG=2
            GO TO 430
0201
        420 IMAG=5
0202
0203 C
0204 C DRAW AXES AND TICK MARKS FOR BOTH MODES
0205
     С
        430 CALL TPLOT(LU(1),0,137,137)
0206
            CALL TPLOT(LU(1),1,937,137)
0207
0208
            CALL TPLOT(LU(1),1,937,637)
0209
            CALL TPLOT(LU(1),1,137,637)
0210
            CALL TPLOT(LU(1),1,137,137)
0211
            DO 440 J=1.9
0212
            IYP=J*50+137
0213
            CALL TPLOT(LU(1), 0, 137, IYP)
0214
            CALL TPLOT(LU(1), 1, 145, IYP)
0215
            CALL TPLOT(LU(1),0,929,IYP)
            CALL TPLOT(LU(1), 1, 937, IYP)
0216
        440 CONTINUE
0217
0218
            DO 450 J=1.9
0219
            IXP=J*80+137
0220
            CALL TPLOT(LU(1), 0, IXP, 137)
0221
            CALL TPLOT(LU(1), 1, IXP, 145)
0222
            CALL TPLOT(LU(1),0,IXP,629)
0223
            CALL TPLOT(LU(1), 1, IXP, 637)
0224
        450 CONTINUE
0225 C
0226 C
         LABEL ORDINATE, ABSCISSA AND GRAPH FOR BOTH MODES
0227 C
0228
            DO 470 J=1,5
0229
            IYP=J*100+80
0230
            VMAX=VOLTS/FLOAT(IMAG)
            YABLE=ABS(VMAX-((VMAX/2.0)*(5.0-FLOAT(J))))
0231
0232
            CALL TPLOT(LU(1), 0, 70, IYP)
0233
            CALL EXEC(2,LU(1),IUSLA,-2)
0234
            WRITE(LU(1),460) YABLE
0235
        460 \text{ FORMAT}(F4.3)
0236
        470 CONTINUE
0237
            DO 490 J=1,2
0238
            IYP=J*100+80
0239
            CALL TPLOT(LU(1), 0, 56, IYP)
0240
            CALL EXEC(2,LU(1),IUSLA,-2)
0241
            WRITE(LU(1),480) MINUS
0242
        480 FORMAT(A1)
0243
        490 CONTINUE
            CALL SYMB(0.36,3.55,0.14,LVOLT,90.0,5)
0244
0245
            DO 500 J=0,5
```

0246			IXP=J#160+111
0247			XABLE=FLOAT(J)#RATE#409.6
0248			CALL TPLOT( $LU(1), 0, IXP, 102$ )
0249			CALL EXEC(2,LU(1),IUSLA,-2)
0250			WRITE(LU(1),460) XABLE
0251		500	
		500	CONTINUE
0252			CALL TPLOT(LU(1),0,456,70)
0253			CALL EXEC(2,LU(1),IUSLA,-2)
0254			WRITE(LU(1),510) LTIME
0255		510	FORMAT(6A2)
0256			CALL TPLOT(LU(1),0,INDNT,750)
0257			CALL EXEC(2,LU(1),IUSLA,-2)
0258			WRITE(LU(1),520) IBUF
0259		520	FORMAT(36A2)
0260		520	
0200			CALL TPLOT(LU(1),0,350,725)
			CALL EXEC(2,LU(1),IUSLA,-2)
0262			WRITE(LU(1),530) IWAVE
0263		530	FORMAT("BIOMATION RECORDING ",13)
0264	С		
0265	С	PL	OT WAVEFORM FOR BOTH MODES
0266	С		
0267			DO 550 I=1,2048
0268			IXP=FLOAT(I)*0.390625+137.0
0269			IYP=TRX(I)*1.5625*FLOAT(IMAG)+387.0
0270			IF(I.NE.1) GO TO 540
0271			CALL TPLOT(LU(1),0,IXP,IYP)
0272		_1	GO TO 550
			CALL TPLOT(LU(1),1,IXP,IYP)
0274		550	CONTINUE
0275			CALL CURSR(LU(1),IQUIT,IXP,IYP)
0276			IF(.NOT.VIEW) GO TO 560
0277			CALL ERASE(LU(1))
0278			IF(IQUIT.NE.121B) GO TO 260
0279			GO TO 600
0280		560	IF(IQUIT.NE.107B) GO TO 200
0281	C	500	IT(IQUII.ME. 10/D) 00 10 200
	C	יתוז	ITE GOOD WAVEFORMS TO DISK FOR NON-VIEWING MODE
0282	C	WR.	TTE GOOD WAVEFORMS TO DISK FOR NON-VIEWING MODE
0283	С		
0284			IPNT=IPNT+1
0285			ITPNM(IPNT)=IWAVE
0286			IF(IPNT.LT.15) GO TO 200
0287		570	CALL CODE
0288		•	WRITE(INBUF, 580) (ITPNM(I), I=1, IPNT)
0289		580	FORMAT(15(13, ""))
0290		200	CALL WRITF(IDCB1, IERR, INBUF, IPNT*2)
0290			IF(IERR.LT.O) GO TO 110
0292			IPNT=0
0293	~		IF(.NOT.EOF) GO TO 200
0294	С		

0296 C	
0297 CALL ERASE(LU(1))	
0298 CALL LOCF(IDCB1,IERR,I,IREC,J,LEN)	
0299 LEN=LEN/2-IREC-1	
0300 CALL CLOSE(IDCB1,IERR,LEN)	
0301 IF(IERR.GE.O) GO TO 600	
0302 WRITE(LU(1),590) IERR,LEN	
0303 590 FORMAT("/PLTME: ERROR ",14," IN TRUNCATING DATA FILE	BY ",
0304 +I6," BLOCKS!",/)	
0305 600 WRITE(LU(1),610)	
0306 610 FORMAT("/PLTME: FINISHED!",/)	
0307 620 CONTINUE	
0308 CALL EXEC(3,410B)	
0309 END	

0001 ASMB, R, F 0002 NAM JSHFT,7 0003 ENT JSHFT 0004 EXT .ENTR 0005 0006 \* FUNCTION JSHFT(IWORD, ICOUNT) 0007 ŧ 8000 WHERE: IWORD IS THE WORD TO BE SHIFTED ¥ 0009 ICOUNT IS THE NUMBER OF BITS TO SHIFT 0010 \* NEGATIVE ICOUNT SHIFTS THE WORD LEFT 0011 \* POSITIVE ICOUNT SHIFTS THE WORD RIGHT 0012 \* ¥ 0013 0014 # WRITTEN BY JOHN CARLYLE 0015 ¥ 0016 ¥ 0017 WORD NOP COUNT NOP 0018 0019 JSHFT NOP 0020 JSB .ENTR GET ADDRESSES OF PARAMETERS 0021 DEF WORD 0022 LDA WORD, I GET THE WORD 0023 LDB COUNT, I GET THE COUNT 0024 SZB,RSS IS COUNT ZERO? 0025 JMP JSHFT,I YES, RETURN 0026 NO, IS THE COUNT POSITIVE? SSB NO, WILL SHIFT LEFT 0027 JMP LEFT 0028 RIGHT CMB, INB YES. INITIALIZE FOR PLACE 0029 ROTATE RIGHT ONE PLACE RAR 0030 NUMBER OF SHIFTS COMPLETE? INB, SZB 0031 JMP \*-2 NO, DO IT AGAIN 0032 YES. DONE JMP EXIT 0033 LEFT RAL ROTATE LEFT ONE PLACE 0034 INB, SZB NUMBER OF SHIFTS COMPLETE? JMP \*-2 NO. DO IT AGAIN 0035 0036 EXIT JMP JSHFT,I YES, RETURN 0037 END JSHFT

0001	$\mathbf{FT}$	N4
0002	С	
0003		PROGRAM AENOR
0004	С	
0005	Ċ	
0006	c	
		THIS PROGRAM READS THE FILE CREATED BY <pltme> AND CREATES</pltme>
0007	C	ANOTHER DISC FILE CONTAINING ALL OF THE HEADER INFORMATION
8000	C	IN THE ORIGINAL FILE PLUS POWER SPECTRA DATA CALCULATED FROM
0009	С	THE EXPERIMENTAL WAVEFORM TAPE USING THE WAVEFORM NUMBERS
0010	С	IN THE <pltme> FILE FOR POSITIONING.</pltme>
0011	С	
0012	С	
0013	С	WRITTEN BY JOHN CARLYLE
0014	С	
0015	C	
0016	Ŭ	$\mathbf{DTMENSTON}  \mathbf{III}(\mathbf{F})  \mathbf{TBEC}(\mathbf{O})  \mathbf{TNEUE}(\mathbf{O})  \mathbf{TDEUE}(\mathbf{O})$
-		DIMENSION LU(5), IREG(2), INBUF(36), IPBUF(10)
0017		DIMENSION IDCB1(144), IDCB2(144), ITPNM(36)
0018		DIMENSION TRX(2050), NTAPE(1024), IREC2(512)
0019		DIMENSION POWER(1025), DOUT(1027), DATA(18)
0020		EQUIVALENCE (REG, IREG), (DATA, ITPNM), (POWER, TRX)
0021		EQUIVALENCE (TRX(1537),NTAPE),(NTAPE(513),IREC2)
0022		EQUIVALENCE (POWER, DOUT(2))
0023		DATA ICNT/1/
0024	С	
0025	C	RECOVER PARAMETERS
0026	Ċ	
0027	Ŭ	CALL RMPAR(LU)
0027		
		IF(LU(1), EQ.0) LU(1) = 1
0029	~	ILU=LU(1)+400B
0030	C	
0031	С	GET 'NAMR' INFORMATION
0032	С	
0033		10 WRITE(LU(1),20) ICNT
0034		20 FORMAT("/AENOR: ENTER 'NAMR' FOR FILE #",I1,": _")
0035		REG=EXEC(1,ILU,INBUF,-72)
0036		ISCHR=1
0037		IF(NAMR(IPBUF, INBUF, IREG(2), ISCHR)) 10,30
0038		30 IF(ICNT.NE.1) GO TO 70
0039	С	50 II (IONI-NE-)) 00 10 10
0040	c	OPEN FILE #1
		OFEN FILE #1
0041	С	CALL ODDW(TDCD4 TEDD TEDDUE ( TEDUE(E) TEBUE(6))
0042		CALL OPEN(IDCB1,IERR,IPBUF,0,IPBUF(5),IPBUF(6))
0043		IF(IERR.GE.O) GO TO 60
0044		40 WRITE(LU(1),50) IERR
0045		50 FORMAT("/AENOR: FILE ERROR ",14,". TRY AGAIN!",/)
0046		GO TO 10
0047	С	
0048	С	CREATE FILE #2
0049	С	
-		

		_	
0050		60	ICNT=2
0051			GO TO 10
0052		70	IREG(1) = -1
0053			IREG(2)=0
0054			• • •
-			CALL CREAT(IDCB2, IERR, IPBUF, IREG, 3, IPBUF(5), IPBUF(6))
0055			IF(IERR.GE.O) GO TO 80
0056			ITRY=ITRY+1
0057			IF(ITRY.LT.3) GO TO 40
0058			GO TO 110
0059	С		
0060	C	RE	AD DATA IN CONTROL FILE
0061	č		
0062	v	80	ITRY=-1
0063		90	DO 100 L=1,36
0064			ITPNM(L)=0
0065		100	CONTINUE
0066			CALL READF(IDCB1, IERR, INBUF, 36, LEN)
0067			IF(IERR.GE.O) GO TO 130
0068		110	WRITE(LU(1),120) IERR
0069			FORMAT("/AENOR: FILE ERROR ",14,". ABORTING PROGRAM!",/)
0070			GO TO 400
0071		130	IF(LEN.NE1) GO TO 160
0072			IF(ITRY) 140,140,360
0072		110	<i>i i</i> =
			WRITE(LU(1), 150)
0074			FORMAT("/AENOR: EOF IN CONTROL FILE. ABORTING ",
0075		-	+"PROGRAM!",/)
0076	_		GO TO 400
0077	С		
0078	С	TR	ANSFER HEADER DATA TO DATA FILE
0079	С		
0080		160	IF(ITRY) 170,190,190
0081			CALL CODE(LEN*2)
0082			READ(INBUF, $*$ ) (DATA(I), I=1, 18)
0083			IF(DATA(1).NE.0.0) GO TO 180
0084			CALL WRITF(IDCB2, IERR, INBUF, LEN)
0085			
-			IF(IERR.GE.O) GO TO 90
0086	_		GO TO 110
0087	С		
0088	С	GE	I BIOMATION INPUT RANGE AND PROPER TAPE FILE
0089	С		
0090		180	VOLTS=DATA(1)#0.0078125
0091			CALL WRITF(IDCB2, IERR, INBUF, LEN)
0092			IF(IERR.LT.O) GO TO 110
0093			ITRY=0
0094			GO TO 90
0094		100	CALL CODE(LEN*2)
		120	READ(INBUF, *) (ITPNM(I), I=1,36)
0096			
0097		000	IF(ITRY) 200,200,260
0098		200	IFILE=ITPNM(1)

0099 ITRY=1 0100 IF(IFILE) 210,210,230 0101 210 WRITE(LU(1),220) 220 FORMAT("/AENOR: INVALID MAG TAPE FILE. 0102 ABORTING ", +"PROGRAM!",/) 0103 0104 GO TO 400 0105 С C POSITION MAG TAPE TO FILE AND INITIALIZE POINTERS 0106 0107 С 0108 230 ICNT=1 0109 CALL EXEC(3,410B) 0110 240 IF(ICNT.EQ.IFILE) GO TO 250 0111 ICNT=ICNT+1 0112 CALL EXEC(3, 1310B) 0113 REG=EXEC(3,610B)0114 IREG(1)=IAND(73B, IREG(1))0115 IF(IREG(1).NE.0) GO TO 300 0116 GO TO 240 250 IAE=1 0117 0118 IREC=1 0119 CALL WRITF(IDCB2, IERR, INBUF, 0) 0120 IF(IERR.GE.O) GO TO 90 0121 GO TO 110 0122 С 0123 C POSITION TO GOOD AE WAVEFORM RECORD 0124 С 260 ICNT=1 0125 0126 270 IF(ITPNM(ICNT).EQ.0) GO TO 90 0127 280 IF(ITPNM(ICNT).EQ.IREC) GO TO 290 0128 IREC=IREC+1 0129 CALL EXEC(3,310B) 0130 REG=EXEC(3.610B)0131 IREG(1)=IAND(373B, IREG(1))0132 IF(IREG(1).NE.0) GO TO 300 0133 CALL EXEC(3,310B) 0134 REG=EXEC(3.610B)0135 IREG(1)=IAND(373B, IREG(1))IF(IREG(1).NE.0) GO TO 300 0136 0137 GO TO 280 0138 С C READ IN BIOMATION RECORD AND UNPACK IT 0139 0140 С 0141 290 CALL EXEC(1,110B,NTAPE,512) 0142 REG=EXEC(3,610B)IREG(1)=IAND(373B, IREG(1)) 0143 IF(IREG(1).EQ.0) GO TO 320 0144 0145 300 WRITE(LU(1),310) IREG(1) 310 FORMAT("/AENOR: MAG TAPE STATUS = ",03,"B. ABORTING ", 0146 0147 +"PROGRAMI",/)

```
0148
            GO TO 400
0149
        320 CALL EXEC(1,110B, IREC2, 512)
0150
            REG=EXEC(3,610B)
0151
            IREG(1) = IAND(373B, IREG(1))
            IF(IREG(1).NE.0) GO TO 300
0152
0153
            DO 330 L=1,2047,2
0154
            LN=(L+1)/2
0155
            L2=L+1
0156
            IREG(2)=IAND(377B,NTAPE(LN))
0157
            IREG(1)=JSHFT(NTAPE(LN),8)
            IREG(1) = IAND(377B, IREG(1))
0158
0159
            TRX(L)=FLOAT(IREG(1)-128)*VOLTS
0160
            TRX(L2)=FLOAT(IREG(2)-128)*VOLTS
0161
        330 CONTINUE
0162 C
0163 C OBTAIN NORMALIZED POWER SPECTRUM REF. 1 MW INTO 50 OHMS
0164 C VALUES HAVE BEEN DOUBLED FOR FREQUENCIES OTHER THAN DC
0165 C
0166
            CALL FOUR2(TRX, 2048, 1, -1, 0)
0167
            TOTN=0.0
0168
            DO 340 L=1,2049,2
0169
            LN=(L+1)/2
0170
            TRX(L) = TRX(L) / 2048.0
0171
            TRX(L+1) = TRX(L+1)/2048.0
0172
            POWER(LN) = TRX(L) * TRX(L) + TRX(L+1) * TRX(L+1)
0173
            POWER(LN) = POWER(LN) # 20.0
0174
            IF(LN.NE.1) POWER(LN)=POWER(LN)*2.0
0175
            TOTN=TOTN+POWER(LN)
        340 CONTINUE
0176
0177
            IF(IAE.NE.1) GO TO 350
0178
            TOTO=TOTN
0179
        350 DOUT(1)=TOTO/TOTN
0180
            DOUT(1027)=FLOAT(ITPNM(ICNT))
0181 C
0182 C WRITE NORMALIZING FACTOR AND SPECTRUM TO DISC
0183 C
0184
            CALL WRITF(IDCB2, IERR, DOUT, 2054)
0185
            IF(IERR.LT.O) GO TO 110
0186
            ICNT=ICNT+1
0187
            IREC=IREC+1
0188
            IAE=IAE+1
0189
            GO TO 270
0190
     С
0191
     C RETURN UNUSED DISC SPACE AND QUIT
0192
      С
       360 CALL LOCF(IDCB2, IERR, ICNT, IREC, L, LEN)
0193
0194
            LEN=LEN/2-IREC-1
            CALL CLOSE(IDCB2, IERR, LEN)
0195
            IF(IERR.GE.O) GO TO 380
0196
```

```
0197
            WRITE(LU(1),370) IERR,LEN
```

370 FORMAT("/AENOR: ERROR ",14," IN DELETING FILE2 BY ",16, 0198

```
+" BLOCKS!",/)
0199
```

```
0200
       380 WRITE(LU(1),390)
```

```
0201
        390 FORMAT("/AENOR: FINISHED!",/)
```

0202 GO TO 410

```
400 CALL PURGE(IDCB2, IERR, IPBUF, IPBUF(5), IPBUF(6))
0203
```

- 410 CALL CLOSE(IDCB1, IERR) 0204 END
- 0205

0001	FTN4	
0002	L 1144	
0002	С	SUBROUTINE FOUR2 (DATA, N, NDIM, ISIGN, IFORM)
0003	c	COOLEY-TUKEY FAST FOURIER TRANSFORM IN USASI BASIC
0004	C	FORTRAN. MULTI-DIMENSIONAL TRANSFORM, EACH DIMENSION
0005	C	A POWER OF TWO, COMPLEX OR REAL DATA.
0000	c	TRANSFORM(K1,K2,) = SUM(DATA(J1,J2,)*EXP(ISIGN*2*PI
0007	c	*SQRT(-1)*((J1-1)*(K1-1)/N(1)+(J2-1)*(K2-1)/N(2)+))),
0008	C	SUMMED FOR ALL J1 AND K1 FROM 1 TO N(1), J2 AND K2 FROM
-		TO N(2) ETC. FOR ALL NDIM SUBSCRIPTS. NDIM MUST BE
0010	C	POSITIVE AND EACH N(IDIM) MUST BE A POWER OF TWO. ISIGN
0011 0012	C C	IS +1 OR -1. LET NTOT = $N(1)*N(2)**N(NDIM)$ . THEN A -1
0012	C	TRANSFORM FOLLOWED BY A +1 ONE (OR VICE VERSA) RETURNS
0013		NTOT TIMES THE ORIGINAL DATA. IFORM = 1, 0 OR -1, AS DATA
0014	C C	IS COMPLEX, REAL OR THE FIRST HALF OF A COMPLEX ARRAY.
0015	C	TRANSFORM VALUES ARE RETURNED TO ARRAY DATA. THEY ARE
0010	C	COMPLEX, REAL OR THE FIRST HALF OF A COMPLEX ARRAY, AS
0017	C	IFORM = 1, $-1$ OR 0. THE TRANSFORM OF A REAL ARRAY (IFORM
0010	c	= 0) DIMENSIONED N(1) BY N(2) BY WILL BE RETURNED IN
0019	C	THE SAME ARRAY, NOW CONSIDERED TO BE COMPLEX OF DIMENSIONS
0020	C	N(1)/2+1 BY $N(2)$ BY NOTE THAT IF IFORM = 0 OR -1, N(1) MUST BE EVEN AND ENOUGH BOOM MUST BE RESERVED. THE
0021	c	N(1) MUST BE EVEN, AND ENOUGH ROOM MUST BE RESERVED. THE
0022	c	MISSING VALUES MAY BE OBTAINED BY COMPLEX CONJUGATION.
0023	c	THE REVERSE TRANSFORMATION, OF A HALF COMPLEX ARRAY DIMEN-
0024	C	SIONED N(1)/2+1 BY N(2) BY, IS ACCOMPLISHED BY SETTING TEOPM TO $1$ TN THE N APPAY N(1) MUST BE THE THEF N(1)
0025	C	IFORM TO -1. IN THE N ARRAY, N(1) MUST BE THE TRUE N(1), NOT N(1)/2+1. THE TRANSFORM WILL BE REAL AND RETURNED TO
0020	c	THE INPUT ARRAY. RUNNING TIME IS PROPORTIONAL TO NTOT*
0027	c	LOG2(NTOT), RATHER THAN THE NAIVE NTOT**2. FURTHERMORE,
0020	c	LESS ERROR IS BUILT UP. WRITTEN BY NORMAN BRENNER OF MIT
0030	č	LINCOLN LABORATORY, JANUARY 1969. SEE IEEE AUDIO
0031	c	TRANSACTIONS (JUNE 1967), SPECIAL ISSUE ON FFT.
0032	U	DIMENSION DATA(1), N(1)
0033		NTOT=1
0034		DO 10 IDIM=1,NDIM
0035	1	0 NTOT=NTOT*N(IDIM)
0036	•	IF (IFORM) 70,20,20
0037	2	O NREM=NTOT
0038	_	DO 60 IDIM=1,NDIM
0039		NREM=NREM/N(IDIM)
0040		NPREV=NTOT/(N(IDIM)*NREM)
0041		NCURR=N(IDIM)
0042		IF (IDIM-1+IFORM) 30,30,40
0043	3	0 NCURR=NCURR/2
0044		O CALL BITRV (DATA, NPREV, NCURR, NREM)
0045	·	CALL COOL2 (DATA, NPREV, NCURR, NREM, ISIGN)
0046		IF (IDIM-1+IFORM) 50,50,60
0047	5	O CALL FIXRL (DATA, N(1), NREM, ISIGN, IFORM)
0048	-	NTOT = (NTOT/N(1)) * (N(1)/2+1)
0049	6	O CONTINUE

0050       RETURN         0051       70       NTOT=(NTOT/N(1))*(N(1)/2+1)         0052       NREM=1         0053       D0       100 JDIM=1,NDIM         0054       IDIM=NDIM+1-JDIM         0055       NCURR=N(IDIM)         0056       IF (IDIM-1) 80,80,90         0057       80       NCURR=N(IDIM)         0056       CALL FIXEL (DATA,N(1),NREM,ISIGN,IFORM)         0057       NTOT=NTOT/(N(1)/2+1)*N(1)         0058       CALL COL2 (DATA,NPREV,NCURR,NREM)         0061       CALL COL2 (DATA,NPREV,NCURR,NREM,ISIGN)         0062       CALL COL2 (DATA,NPREV,NCURR,NREM,ISIGN)         0063       100       NREM=NREM*N(IDIM)         0064       RETURN         0065       END         0066       SUBROUTINE COCL2 (DATA,NPREV,N,NREM,ISIGN)         0067       C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-         0068       CUBROUTINE COCL2 (DATA,NPREV,N,NREM,ISIGN)         0069       C PHASE SHIFTS.         0060       C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-         0072       C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*         0071       C COMPLEX DATA         0072       C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*<
0052NREM=10053D0 100 JDIM=1,NDIM0054IDIM=NDIM+1-JDIM0055NCURR=N(IDIM)0056IF (IDIM-1) 80,80,90005780 NCURR=NCURR/20058CALL FIREL (DATA,N(1),NREM,ISIGN,IFORM)0059NTOT=NTOT/(N(1)/2+1)*N(1)0061CALL BITRV (DATA,NPREV,NCURR,NREM)0062CALL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN)0063100 NREM=NREM*N(IDIM)0064RETURN0065END0066SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)0067DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-0068SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)0067DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-0068CUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)0069CPHASE SHIFTS.0070C01MENSION DATA(NPREV,N,NREM)0071C0072C JATA(J1,K4,5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*0073C (J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM0074C I TO NPREV, K4 FROM 1 TO NAND J5 EXP(ISIGN*2*PI*I*0075C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 20076C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079C IRAC 2, X3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0080C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)0081C OMPLEX D
<ul> <li>1DIM=NDIM-1-JDIM</li> <li>1DIM=NDIM-1-JDIM</li> <li>0055 NCURR=N(IDIM)</li> <li>0056 IF (IDIM-1) 80,80,90</li> <li>0057 80 NCURR=NCURR/2</li> <li>0058 CALL FIXRL (DATA,N(1),NREM,ISIGN,IFORM)</li> <li>0059 NTOT=NTOT/(N(1)/2+1)*N(1)</li> <li>0060 90 NPREV=NTOT/(N(1DIM)*NREM)</li> <li>0061 CALL BITRY (DATA,NPREV,NCURR,NREM)</li> <li>0062 CALL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN)</li> <li>0063 100 NREM=NREM*N(IDIM)</li> <li>0064 RETURN</li> <li>0065 END</li> <li>0066 SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)</li> <li>0067 C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>0068 C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>0069 PHASE SHIFTS.</li> <li>0070 C DIMENSION DATA(NPREV,N,NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>0073 C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>0074 C 1 TO NFREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>0075 C BE A POWER OF TWO. METHOD=-LET IPREV TAKE THE VALUES 1, 2</li> <li>0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHORE BETWEEN 2 OR</li> <li>0077 C LFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IREM = N/(IFACT*IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>0081 C COMPLEX DATA</li> <li>0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0076 C OR FACTOR THAT IPREV, IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>0081 C COMPLEX DATA</li> <li>0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0074 C IT O IFACT OF ALL J1 FROM 1 TO IPREV, J2 FROM 1 TO</li> <li>0075 C IFREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1</li> <li>0085 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DIS</li></ul>
<ul> <li>1DIM=NDIM+1-JDIM</li> <li>1DIM=NDIM+1-JDIM</li> <li>0055 NCURR=N(IDIM)</li> <li>0056 IF (IDIM-1) 80,80,90</li> <li>0057 60 NCURR=NCURR/2</li> <li>0058 CALL FIXRL (DATA,N(1),NREM,ISIGN,IFORM)</li> <li>0059 NTOT=NTOT/(N(1)/2+1)*N(1)</li> <li>0060 90 NPREV=NTOT/(N(IDIM)*NREM)</li> <li>0061 CALL BITRV (DATA,NPREV,NCURR,NREM)</li> <li>0062 CALL COOL2 (DATA,NPREV,NCURR,NREM)</li> <li>0063 100 NREM=NREM*N(IDIM)</li> <li>0064 RETURN</li> <li>0065 END</li> <li>0066 SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)</li> <li>0067 C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>0068 C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>0069 C PHASE SHIFTS.</li> <li>0070 C DIMENSION DATA(NPREV,N,NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>0073 C (J1-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>0075 C BE A POWER OF TWO. METHOD=-LET IPREV TAKE THE VALUES 1, 2</li> <li>0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IREM = N/(IFACT*IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0083 C PI*I*(K3-1)*((J3-1)/IFACT*(J2-1)/(IFACT*IFREV)))), SUMMED</li> <li>0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO IREM AND J5 FROM 1 TO</li> <li>0085 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS. DATA MUST BE</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS. DATA MUST BE</li> </ul>
<ul> <li>NCURR=N(IDIM)</li> <li>IF (IDIM-1) 80,80,90</li> <li>OS5 IF (IDIM-1) 80,80,90</li> <li>OS5 CALL FIXRL (DATA,N(1),NREM,ISIGN,IFORM)</li> <li>OS5 NTOT=NTOT/(N(1)/2+1)*N(1)</li> <li>OG6 90 NFREV=NTOT/(N(IDIM)*NREM)</li> <li>CALL EITXRL (DATA,NPREV,NCURR,NREM)</li> <li>CALL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN)</li> <li>CALL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN)</li> <li>OC6 CLL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN)</li> <li>OC6 SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)</li> <li>OC6 SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC6 CDISCRETE SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>OC71 CCOMPLEX DATA</li> <li>OC72 CDATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>OC74 CIA (J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>OC75 CBE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2</li> <li>OC76 COR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>OC77 C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>OC78 CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>OC79 CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>OC79 CIREM = N/(IFACT*IPREV). THEN</li> <li>OU78 CDIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>OC82 CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>OC84 CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO</li> <li>OC84 CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO</li> <li>OC85 CT NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>OC86 CT NREM. THIS IS A PHA</li></ul>
0056IF (IDIM-1) $80, 80, 90$ 005780 NCURR=NCURR/20058CALL FIXRL (DATA, N(1), NREM, ISIGN, IFORM)0059NTOT=NTOT/(N(1)/2+1)*N(1)006090 NPREV=NTOT/(N(IDIM)*NREM)0061CALL BITRV (DATA, NPREV, NCURR, NREM)0062CALL COOL2 (DATA, NPREV, NCURR, NREM, ISIGN)0063100 NREM=NREM*N(IDIM)0064RETURN0065END0066SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)0067C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-0068C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-0069C PHASE SHIFTS.0070C DIMENSION DATA(NPREV, N, NREM)0071C COMPLEX DATA0072C DATA(J1, K4, J5) = SUM(DATA(J1, J4, J5)*EXP(ISIGN*2*PI*I*0073C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM0074C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM, N MUST0075C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 20076C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079C IREM = N/(IFACT*IPREV). THEN0076C DIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081C COMPLEX DATA0082C DATA(J1, J2, K3, J4, J5) = SUM(DATA(J1, J2, J3, J4, J5)*EXP(ISIGN*0084C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO IREM AND J5 FROM 1 TO0085C PI**(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED0084C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO IREM AND J5 FROM 10085C DIT#EV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM
<ul> <li>80 NCURR=NCURR/2</li> <li>CALL FIXRL (DATA, N(1), NREM, ISIGN, IFORM)</li> <li>NTOT=NTOT/(N(1)/2+1)*N(1)</li> <li>90 NPREV=NTOT/(N(IDIM)*NREM)</li> <li>CALL BITRV (DATA, NPREV, NCURR, NREM)</li> <li>CALL COL2 (DATA, NPREV, NCURR, NREM, ISIGN)</li> <li>0064 CALL BITRV (DATA, NPREV, NCURR, NREM, ISIGN)</li> <li>0063 100 NREM=NREM*N(IDIM)</li> <li>0064 RETURN</li> <li>0065 END</li> <li>0066 SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)</li> <li>0067 C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>0068 CUREY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>0069 C PHASE SHIFTS.</li> <li>0070 C DIMENSION DATA(NPREV, N, NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0072 C DATA(J1, K4, J5) = SUM(DATA(J1, J4, J5)*EXP(ISIGN*2*PI*I*</li> <li>0073 C (J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>0075 C BE A POWER OF TWO. METHOD-LIF IPREV TAKE THE VALUES 1, 2</li> <li>0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IREM = N/(IFACT*IPREV). IFACT, IREM, NREM)</li> <li>0078 C DATA(J1, 2, 3, J4, J5) = SUM(DATA(J1, J2, J3, J4, J5)*EXP(ISIGN*</li> <li>0078 C DATA(J1, J2, K3, J4, J5) = SUM(DATA(J1, J2, J3, J4, J5)*EXP(ISIGN*</li> <li>0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED</li> <li>0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NREW, J2 FROM 1 TO</li> <li>0085 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING BY TWOS. DATA MUST BE</li> <li>0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE</li> <li>0089 C HUENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE</li> </ul>
<ul> <li>CALL FIXRL (DATA,N(1),NREM,ISIGN,IFORM)</li> <li>NTOT=NTOT/(N(1)/2+1)*N(1)</li> <li>OG0</li> <li>ONPREV=NTOT/(N(IDIM)*NREM)</li> <li>CALL BITRV (DATA,NPREV,NCURR,NREM)</li> <li>CALL COOL2 (DATA,NPREV,NCURR,NREM)</li> <li>CALL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN)</li> <li>OC63</li> <li>IO0 NREM=NREM*N(IDIM)</li> <li>RETURN</li> <li>CALS UBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)</li> <li>OC64</li> <li>RETURN</li> <li>CO65</li> <li>END</li> <li>CO66</li> <li>CUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)</li> <li>OC67</li> <li>C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>OC68</li> <li>C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>OC70</li> <li>C DIMENSION DATA(NPREV,N,NREM)</li> <li>OC71</li> <li>C COMPLEX DATA</li> <li>OC72</li> <li>C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>OC73</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>OC74</li> <li>C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>OC75</li> <li>C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2</li> <li>OC76</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>OC77</li> <li>C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>OC78</li> <li>C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>OC79</li> <li>C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>OC77</li> <li>C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>OC78</li> <li>C DIMENSION DATA(NPREV, IPREV, IFACT, IREM,NREM)</li> <li>OC81</li> <li>C COMPLEX DATA</li> <li>OC82</li> <li>C DATA(J1,J2,X3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED</li> <li>OC84</li> <li>C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO IREM AND J5 FROM 1</li> <li>O085</li> <li>C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1</li> <li>O086</li> <li>C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>ORM OF LENCTH IFACT.</li></ul>
<pre>0059 NTOT=NTOT/(N(1)/2+1)*N(1) 0060 90 NPREV=NTOT/(N(1)/2+1)*N(1) 0061 CALL BITRV (DATA,NPREV,NCURR,NREM) 0062 CALL COOL2 (DATA,NPREV,NCURR,NREM,ISIGN) 0063 100 NREM=NREM*N(IDIM) 0064 RETURN 0065 END 0066 SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN) 0067 C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY- 0068 C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY 0069 C PHASE SHIFTS. 0070 C DIMENSION DATA(NPREV,N,NREM) 0071 C COMPLEX DATA 0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I* 0073 C (J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM 0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST 0075 C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2 0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR 0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE 0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND 0079 C IREM = N/(IFACT*IPREV). THEN 0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM) 0081 C COMPLEX DATA 0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN* 0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO 0085 C IFREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1 0086 C DIFENSION THE IS A PHASE-SHIFTED DISCRETE FOURIER TRANS- 0087 C FORM OF LENGTH IFACT. FACTORING BY TWOS. DATA MUST BE 0088 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS- 0087 C FORM OF LENGTH IFACT. FACTORING BY TWOS. DATA MUST BE 0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MIST BE 0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</pre>
<ul> <li>90 NPREV=NTOT/(N(IDIM)*NREM)</li> <li>0061 CALL BITRV (DATA, NPREV, NCURR, NREM)</li> <li>0062 CALL COL2 (DATA, NPREV, NCURR, NREM, ISIGN)</li> <li>0063 100 NREM=NREM*N(IDIM)</li> <li>0064 RETURN</li> <li>0065 END</li> <li>0066 SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)</li> <li>0067 C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>0068 C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>0069 C PHASE SHIFTS.</li> <li>0070 C DIMENSION DATA(NPREV, N, NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>0073 C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>0075 C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2</li> <li>0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IREM = N/(IFACT*IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)</li> <li>0081 C COMPLEX DATA</li> <li>0082 C DATA(J1,2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED</li> <li>0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO IREM AND J5 FROM 1</li> <li>0085 C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT</li> <li>0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE</li> <li>0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</li> </ul>
<ul> <li>CALL BITRV (DATA, NPREV, NCURR, NREM)</li> <li>CALL COL2 (DATA, NPREV, NCURR, NREM, ISIGN)</li> <li>NREM=NREM*N(IDIM)</li> <li>NREM=NREM*N(IDIM)</li> <li>RETURN</li> <li>SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)</li> <li>DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>DIGE C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>PHASE SHIFTS.</li> <li>C DIMENSION DATA(NPREV, N, NREM)</li> <li>C COMPLEX DATA</li> <li>C COMPLEX DATA</li> <li>C JATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C ONTEX ANTA</li> <li>C ONTEX ANTA</li></ul>
<ul> <li>CALL COOL2 (DATA, NPREV, NCURR, NREM, ISIGN)</li> <li>CALL COOL2 (DATA, NPREV, NCURR, NREM, ISIGN)</li> <li>NREM=NREM*N(IDIM)</li> <li>RETURN</li> <li>RETURN</li> <li>SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)</li> <li>CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>CCOMPLEX ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>PHASE SHIFTS.</li> <li>COTO C DIMENSION DATA(NPREV, N, NREM)</li> <li>COTT C COMPLEX DATA</li> <li>COTT C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>COTT C JATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>COTT C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>COTT C JATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>COTT C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>COTT C JATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>COTT C UA, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2, OR</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2, OR</li> <li>C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>C COMPLEX DATA</li> <li>C COMPLEX DATA</li> <li>C COMPLEX DATA</li> <li>C COMPLEX DATA</li> <li>C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>C PITI*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED</li> <li>C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO IREM AND J5 FROM 1</li> <li>C NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT</li> <li>C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT</li> <li>C BUT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</li> </ul>
<ul> <li>100 NREM=NREM*N(IDIM)</li> <li>RETURN</li> <li>SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)</li> <li>DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>PHASE SHIFTS.</li> <li>DO70 C DIMENSION DATA(NPREV, N, NREM)</li> <li>CO71 C COMPLEX DATA</li> <li>CO72 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>(J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>O074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>CO75 C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2</li> <li>O076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>CO77 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>O078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>CO79 C IREM = N/(IFACT*IPREV). THEN</li> <li>O080 C DIMENSION DATA(NPREV,IFREV,IFACT,IREM,NREM)</li> <li>COMPLEX DATA</li> <li>COMPLEX DATA</li></ul>
0065END0066SUBROUTINE COOL2 (DATA,NPREV,N,NREM,ISIGN)0067C015CRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-0068CTUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY0069CPHASE SHIFTS.0070C0071C0072C0173C0074C0074C0075C0076DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*0073C0074C1TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NFOR ALL J1 FROM0074C1TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST0075DE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 20076C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078C079IREM = N/(IFACT*IPREV). THEN0080C081C082DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*083C084C085C084C085C086C087C088C089C089C089C080C081TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1082C083C084C085
0066SUBROUTINE COOL2 (DATA, NPREV, N, NREM, ISIGN)0067CDISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-0068CTUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY0069CPHASE SHIFTS.0070CDIMENSION DATA(NPREV, N, NREM)0071CCOMPLEX DATA0072CDATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*0073C(J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM0074C1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST0075CBE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 20076C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV). THEN0080CDIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN**0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NREW, AND J5 FROM 10085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089
<ul> <li>0067 C DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY-</li> <li>0068 C TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>0069 C PHASE SHIFTS.</li> <li>0070 C DIMENSION DATA(NPREV, N, NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>0073 C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>0075 C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2</li> <li>0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IREM = N/(IFACT*IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>0081 C COMPLEX DATA</li> <li>0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED</li> <li>0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO</li> <li>0085 C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING BY TWOS. DATA MUST BE</li> <li>0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE</li> <li>0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</li> </ul>
<ul> <li>DISCRETE FOURIER TRANSFORM OF LENGTH N. IN-PLACE COOLEY- TUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY</li> <li>OF</li> <li>C DIMENSION DATA(NPREV, N, NREM)</li> <li>OT</li> <li>C COMPLEX DATA</li> <li>C OMPLEX DATA</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>C TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>DT</li> <li>DE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2</li> <li>C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>C IREM = N/(IFACT*IPREV). THEN</li> <li>C OMPLEX DATA</li> <li>C COMPLEX DATA</li> <li>C C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>C MARAGON DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>C C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*&lt;</li></ul>
0068CTUKEY ALGORITHM, BIT-REVERSED TO NORMAL ORDER, SANDE-TUKEY0069CPHASE SHIFTS.0070CDIMENSION DATA(NPREV,N,NREM)0071CCOMPLEX DATA0072CDATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*0073C(J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM0074C1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST0075CBE A POWER OF TWO. METHOD-LET IPREV TAKE THE VALUES 1, 20076COR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV). THEN0080CDIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
<ul> <li>0069 C PHASE SHIFTS.</li> <li>0070 C DIMENSION DATA(NPREV,N,NREM)</li> <li>0071 C COMPLEX DATA</li> <li>0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*</li> <li>0073 C (J4-1)*(K4-1)/N), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM</li> <li>0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST</li> <li>0075 C BE A POWER OF TWO. METHOD-LET IPREV TAKE THE VALUES 1, 2</li> <li>0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR</li> <li>0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>0079 C IREM = N/(IFACT*IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>0081 C COMPLEX DATA</li> <li>0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED</li> <li>0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO</li> <li>0085 C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1</li> <li>0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT</li> <li>0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE</li> <li>0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</li> </ul>
0071 C COMPLEX DATA 0072 C DATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I* 0073 C (J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM 0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST 0075 C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2 0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR 0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE 0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND 0079 C IREM = N/(IFACT*IPREV). THEN 0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM) 0081 C COMPLEX DATA 0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN* 0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED 0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO 0085 C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1 0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS- 0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT 0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE 0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0072CDATA(J1,K4,J5) = SUM(DATA(J1,J4,J5)*EXP(ISIGN*2*PI*I*0073C(J4-1)*(K4-1)/N)), SUMMED OVER J4 = 1 TO N FOR ALL J1 FROM0074C1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST0075CBE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 20076COR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV). THEN0080CDIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0073 C $(J4-1)*(K4-1)/N)$ , SUMMED OVER $J4 = 1$ TO N FOR ALL J1 FROM 0074 C 1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST 0075 C BE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 2 0076 C OR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR 0077 C 4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE 0078 C IFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND 0079 C IREM = N/(IFACT*IPREV). THEN 0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM) 0081 C COMPLEX DATA 0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN* 0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED 0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO 0085 C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1 0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS- 0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT 0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE 0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0074C1 TO NPREV, K4 FROM 1 TO N AND J5 FROM 1 TO NREM. N MUST0075CBE A POWER OF TWO. METHODLET IPREV TAKE THE VALUES 1, 20076COR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV). THEN0080CDIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0075CBE A POWER OF TWO.METHODLET IPREV TAKE THE VALUES 1, 20076COR 4, 4 OR 8,, N/16, N/4, N.THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR.DEFINE0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV).THEN0080CDIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM.THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT.FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS.DATA MUST BE0089CBIT-REVERSED INITIALLY.IT IS NOT NECESSARY TO REWRITE
0076COR 4, 4 OR 8,, N/16, N/4, N. THE CHOICE BETWEEN 2 OR0077C4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV). THEN0080CDIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
<ul> <li>4, ETC., DEPENDS ON WHETHER N IS A POWER OF FOUR. DEFINE</li> <li>1FACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND</li> <li>1REM = N/(IFACT*IPREV). THEN</li> <li>0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM)</li> <li>COMPLEX DATA</li> <li>COMPLEX DATA</li> <li>COM2 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*</li> <li>0083 C DI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV))), SUMMED</li> <li>0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO</li> <li>1PREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1</li> <li>CONREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-</li> <li>CO87 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT</li> <li>TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE</li> <li>0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</li> </ul>
0078CIFACT = 2 OR 4, THE NEXT FACTOR THAT IPREV MUST TAKE, AND0079CIREM = N/(IFACT*IPREV). THEN0080CDIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081CCOMPLEX DATA0082CDATA(J1, J2, K3, J4, J5) = SUM(DATA(J1, J2, J3, J4, J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
<pre>0079 C IREM = N/(IFACT*IPREV). THEN 0080 C DIMENSION DATA(NPREV,IPREV,IFACT,IREM,NREM) 0081 C COMPLEX DATA 0082 C DATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN* 0083 C PI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED 0084 C J3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO 0085 C IPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 1 0086 C TO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS- 0087 C FORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT 0088 C TWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE 0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE</pre>
0080CDIMENSION DATA(NPREV, IPREV, IFACT, IREM, NREM)0081CCOMPLEX DATA0082CDATA(J1, J2, K3, J4, J5) = SUM(DATA(J1, J2, J3, J4, J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0081CCOMPLEX DATA0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0082CDATA(J1,J2,K3,J4,J5) = SUM(DATA(J1,J2,J3,J4,J5)*EXP(ISIGN*0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0083CPI*I*(K3-1)*((J3-1)/IFACT+(J2-1)/(IFACT*IPREV)))), SUMMED0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0084CJ3 = 1 TO IFACT FOR ALL J1 FROM 1 TO NPREV, J2 FROM 1 TO0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0085CIPREV, K3 FROM 1 TO IFACT, J4 FROM 1 TO IREM AND J5 FROM 10086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0086CTO NREM. THIS IS A PHASE-SHIFTED DISCRETE FOURIER TRANS-0087CFORM OF LENGTH IFACT. FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS. DATA MUST BE0089CBIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0087CFORM OF LENGTH IFACT.FACTORING N BY FOURS SAVES ABOUT0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS.DATA MUST BE0089CBIT-REVERSED INITIALLY.IT IS NOT NECESSARY TO REWRITE
0088CTWENTY FIVE PERCENT OVER FACTORING BY TWOS.DATA MUST BE0089CBIT-REVERSED INITIALLY.IT IS NOT NECESSARY TO REWRITE
0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE
0089 C BIT-REVERSED INITIALLY. IT IS NOT NECESSARY TO REWRITE 0090 C THIS SUBROUTINE INTO COMPLEX NOTATION SO LONG AS THE
0090 C THIS SUBROUTINE INTO COMPLEX NOTATION SO LONG AS INC.
THE THE PROPERTY AND TWACTNARY DARTS IN
0091 C FORTRAN COMPILER USED STORES REAL AND IMAGINARY PARTS IN 0092 C ADJACENT STORAGE LOCATIONS. IT MUST ALSO STORE ARRAYS
0093 C WITH THE FIRST SUBSCRIPT INCREASING FASTEST.
0094 DIMENSION DATA(1)
0094         DIMENSION DATA(1)           0095         TWOPI=6.2831853071786*FLOAT(ISIGN)
0094         DIMENSION DATA(1)           0095         TWOPI=6.2831853071786*FLOAT(ISIGN)           0096         IP0=2
0094         DIMENSION DATA(1)           0095         TWOPI=6.2831853071786*FLOAT(ISIGN)

```
0099
            IP5=IP4#NREM
0100
            IP2=IP1
0101 C
            IP2=IP1#IPROD
0102
            NPART=N
0103
         10 IF (NPART-2) 60,30,20
0104
         20 NPART=NPART/4
0105
            GO TO 10
0106 C
            DO A FOURIER TRANSFORM OF LENGTH TWO
         30 IF (IP2-IP4) 40,160,160
0107
0108
         40 IP3=IP2#2
0109 C
            IP3=IP2#IFACT
0110
            DO 50 I1=1, IP1, IP0
0111 C
            I1 = 1+(J1-1)#IPO
0112
            DO 50 I5=I1,IP5,IP3
0113 C
            I5 = 1+(J1-1)*IP0+(J4-1)*IP3+(J5-1)*IP4
0114
            I3A=15
0115
            I3B=I3A+IP2
0116 C
            I3 = 1+(J1-1)*IP0+(J2-1)*IP1+(J3-1)*IP2+(J4-1)*IP3+
0117 C
                 (J5-1)*IP4
0118
            TEMPR=DATA(I3B)
0119
            TEMPI=DATA(I3B+1)
0120
            DATA(I3B)=DATA(I3A)-TEMPR
0121
            DATA(I3B+1)=DATA(I3A+1)-TEMPI
0122
            DATA(I3A)=DATA(I3A)+TEMPR
0123
         50 DATA(I3A+1)=DATA(I3A+1)+TEMPI
0124
            IP2=IP3
0125 C
            DO A FOURIER TRANSFORM OF LENGTH FOUR (FROM BIT
0126 C
            REVERSED ORDER)
0127
         60 IF (IP2-IP4) 70,160,160
0128
         70 IP3=IP2*4
0129 C
            IP3=IP2#IFACT
0130 C
            COMPUTE TWOPI THRU WR AND WI IN DOUBLE PRECISION, IF
0131 C
            AVAILABLE.
0132
            THETA=TWOPI/FLOAT(IP3/IP1)
0133
            SINTH=SIN(THETA/2.)
0134
            WSTPR=-2. #SINTH#SINTH
0135
            WSTPI=SIN(THETA)
0136
            WR=1.
0137
            WI=0.
0138
            DO 150 I2=1, IP2, IP1
0139 C
            I2 = 1+(J2-1)#IP1
0140
            IF (I2-1) 90,90,80
0141
         80 W2R=WR#WR-WI#WI
0142
            W2I=2.#WR*WI
0143
            W3R=W2R*WR-W2I*WI
0144
            W3I=W2R*WI+W2I*WR
0145
         90 I1MAX=12+IP1-IP0
            DO 140 I1=I2, I1MAX, IPO
0146
            I1 = 1+(J1-1)*IP0+(J2-1)*IP1
0147 C
```

0148			DO 140 I5=I1,IP5,IP3	
0149	С		I5 = 1+(J1-1)*IP0+(J2-1)*IP1+(J4-1)*IP3+(J5-1)*IP4	
0150			I3A=15	
0151			I3B=I3A+IP2	
0152			I3C=I3B+IP2	
0153			I3D=I3C+IP2	
0154	С		I3 = 1+(J1-1)*IP0+(J2-1)*IP1+(J3-1)*IP2+(J4-1)*IP3+	
0155	С		(J5-1) #IP4	
0156	-		IF (I2-1) 110,100	
0157	С		APPLY THE PHASE SHIFT FACTORS	
0158		100	TEMPR=DATA(I3B)	
0159			DATA(I3B)=W2R*DATA(I3B)-W2I*DATA(I3B+1)	
0160			DATA(I3B+1)=W2R*DATA(I3B+1)+W2I*TEMPR	
0161			TEMPR=DATA(I3C)	
0162			DATA(I3C)=WR*DATA(I3C)-WI*DATA(I3C+1)	
0163			DATA(I3C+1) = WR * DATA(I3C+1) + WI * TEMPR	
0164			TEMPR=DATA(I3D)	
0165			DATA(I3D) = W3R*DATA(I3D) - W3I*DATA(I3D+1)	
0166			DATA(I3D+1)=W3R*DATA(I3D+1)+W3I*TEMPR	
0167		110	TOR=DATA(I3A)+DATA(I3B)	
0168			TOI=DATA(I3A+1)+DATA(I3B+1)	
0169			T1R=DATA(I3A)-DATA(I3B)	
0170			T1I=DATA(I3A+1)-DATA(I3B+1)	
0171			T2R=DATA(I3C)+DATA(I3D)	
0172			T2I=DATA(I3C+1)+DATA(I3D+1)	
0173			T3R=DATA(I3C)-DATA(I3D)	
0174			T3I=DATA(I3C+1)-DATA(I3D+1)	
0175			DATA(I3A)=TOR+T2R	
0176			DATA(I3A+1)=T0I+T2I	
0177			DATA(I3C)=TOR-T2R	
0178			DATA(I3C+1)=T0I-T2I	
0179			IF (ISIGN) 120,120,130	
0180		120	T3R=-T3R	
0181			T3I=-T3I	
0182		130	DATA(I3B)=T1R-T3I	
0183			DATA(I3B+1)=T1I+T3R	
0184			DATA(I3D)=T1R+T3I	
0185		140	DATA(I3D+1)=T1I-T3R	
0186			TEMPR=WR	
0187			WR=WSTPR*TEMPR-WSTPI*WI+TEMPR	
0188		150	WI=WSTPR*WI+WSTPI*TEMPR+WI	
0189		-	IP2=IP3	
0190			GO TO 60	
0191		160	RETURN	
0192			END	
0193			SUBROUTINE FIXEL (DATA.N.NREM, ISIGN, IFORM)	
0194	С		FOR TEORM - O CONVERT THE TRANSFORM OF A DOUBLED-UP RE	EAL
0195	Ċ		ARRAY, CONSIDERED COMPLEX, INTO ITS TRUE TRANSFORM.	
0196	С		SUPPLY ONLY THE FIRST HALF OF THE COMPLEX TRANSFORM, AS	5

0197	С		THE SECOND HALF HAS CONJUGATE SYMMETRY. FOR IFORM = -1,
0198	C		CONVERT THE FIRST HALF OF THE TRUE TRANSFORM INTO THE
0199	С		TRANSFORM OF A DOUBLED-UP ARRAY. N MUST BE EVEN
0200	С		USING COMPLEX NOTATION AND SUBSCRIPTS STARTING AT ZERO,
0201	С		THE TRANSFORMATION IS
0202	С		DIMENSION DATA(N, NREM)
0203	С		ZSTP = EXP(ISIGN*2*PI*I/N)
0204	C		DO 10 I2=0, NREM-1
0205	č		DATA(0,I2) = CONJ(DATA(0,I2))*(1+I)
0206	Ċ		DO 10 $I1=1,N/4$
0207	č		Z = (1+(2*IFORM+1)*I*ZSTP**I1)/2
0208	c		$I = \frac{1}{(1+(2-1))} \frac{1}{2} $
0200	c		
0209			DIF = DATA(I1,I2)-CONJ(DATA(I1CNJ,I2))
	C		$TEMP = Z^*DIF$
0211	C	4.0	DATA(I1,I2) = (DATA(I1,I2)-TEMP)*(1-IFORM)
0212		10	DATA(I1CNJ,I2) = (DATA(I1CNJ,I2)+CONJ(TEMP))*(1-IFORM)
0213	С		IF I1=I1CNJ, THE CALCULATION FOR THAT VALUE COLLAPSES
0214	С		INTO A SIMPLE CONJUGATION OF DATA(11,12).
0215			DIMENSION DATA(1)
0216			TWOPI=6.2831853071786*FLOAT(ISIGN)
0217			IPO=2
0218			IP1=IPO*(N/2)
0219			IP2=IP1*NREM
0220			IF (IFORM) 10,70,70
0221	С		PACK THE REAL INPUT VALUES (TWO PER COLUMN)
0222		10	J1=IP1+1
0223			DATA(2)=DATA(J1)
0224			IF (NREM-1) 70,70,20
0225		20	J1=J1+IP0
0226			I2MIN=IP1+1
0227			DO 60 I2=I2MIN, IP2, IP1
0228			DATA(I2)=DATA(J1)
0229			J1=J1+IP0
0230			IF (N-2) 50,50,30
0231		30	I1MIN=I2+IPO
0232		50	I1MAX=12+110 I1MAX=12+1P1-1P0
0232			DO 40 I1=I1MIN, I1MAX, IPO
			• •
0234			DATA(I1) = DATA(J1)
0235		110	DATA(I1+1) = DATA(J1+1)
0236			J1=J1+IP0
0237			DATA(I2+1)=DATA(J1)
0238			J1=J1+IPO
0239		70	DO 80 I2=1,IP2,IP1
0240			TEMPR=DATA(I2)
0241			DATA(I2)=DATA(I2)+DATA(I2+1)
0242		80	DATA(I2+1)=TEMPR-DATA(I2+1)
0243			IF (N-2) 200,200,90
0244		90	THETA=TWOPI/FLOAT(N)
0245			SINTH=SIN(THETA/2.)
-			

0246			ZSTPR=-2.*SINTH*SINTH
0240			
0247			ZSTPI=SIN(THETA)
			ZR=(1ZSTPI)/2.
0249			ZI=(1.+ZSTPR)/2.
0250			IF (IFORM) 100,110,110
0251		100	ZR=1ZR
0252			ZI=-ZI
0253		110	I1MIN=IPO+1
0254			I1MAX=IPO*(N/4)+1
0255			DO 190 I1=I1MIN, I1MAX, IPO
0256			DO 180 I2=I1, IP2, IP1
0257			I2CNJ=IPO*(N/2+1)-2*I1+I2
0258			IF (12-12CNJ) 150,120,120
0259		120	IF (ISIGN*(2*IFORM+1)) 130,140,140
0260		130	DATA(I2+1) = -DATA(I2+1)
0261			IF (IFORM) 170,180,180
0262			DIFR=DATA(I2)-DATA(I2CNJ)
0263			DIFI=DATA(I2+1)+DATA(I2CNJ+1)
0264			TEMPR=DIFR#ZR-DIFI#ZI
0265			TEMPI=DIFR#ZI+DIFI#ZR
0266			DATA(12)=DATA(12)-TEMPR
0267			DATA(12+1)=DATA(12+1)-TEMPI
0268			DATA(I2CNJ)=DATA(I2CNJ)+TEMPR
0269			DATA(I2CNJ+1)=DATA(I2CNJ+1)-TEMPI
0270			IF (IFORM) 160,180,180
0271		160	DATA(I2CNJ)=DATA(I2CNJ)+DATA(I2CNJ)
0272		100	DATA(12CNJ) = DATA(12CNJ) + DATA(12CNJ) DATA(12CNJ+1) = DATA(12CNJ+1) + DATA(12CNJ+1)
0272		170	DATA(12)=DATA(12)+DATA(12)
0273		170	DATA(12) = DATA(12) + DATA(12) DATA(12+1) = DATA(12+1) + DATA(12+1)
0275		180	CONTINUE
0276		100	TEMPR=ZR5
-			ZR=ZSTPR*TEMPR-ZSTPI*ZI+ZR
0277		100	
0278	~	190	ZI=ZSTPR*ZI+ZSTPI*TEMPR+ZI RECURSION SAVES TIME, AT A SLIGHT LOSS IN ACCURACY. IF
0279	C		RECORDION DAVED TIME, MI H SELCHE EVEN EN HER HER HER
0280	С		AVAILABLE, USE DOUBLE PRECISION TO COMPUTE ZR AND ZI.
0281	~	200	IF (IFORM) 270,210,210
0282	С		UNPACK THE REAL TRANSFORM VALUES (TWO PER COLUMN)
0283		210	I2=IP2+1
0284			I1=I2
0285			J1=IP0*(N/2+1)*NREM+1
0286			GO TO 250
0287		220	DATA(J1)=DATA(I1)
0288			DATA(J1+1)=DATA(I1+1)
0289			I1=I1-IPO
0290			J1=J1-IPO
0291		230	IF (12-11) 220,240,240
0292			DATA(J1)=DATA(I1)
0293			DATA(J1+1)=0.
0294		250	12=12-IP1
-			

0295 0296 0297 0298 0299 0300 0301 0302 0303 0304 0305	С		J1=J1-IPO DATA(J1)=DATA(I2+1) DATA(J1+1)=0. I1=I1-IPO J1=J1-IPO IF (I2-1) 260,260,230 DATA(2)=0. RETURN END SUBROUTINE BITRV (DATA,NPREV,N,NREM) SHUFFLE THE DATA BY BIT REVERSAL.
0306 0307	C C		DIMENSION DATA(NPREV,N,NREM) COMPLEX DATA
0308	C		EXCHANGE DATA(J1,J4REV,J5) WITH DATA(J1,J4,J5) FOR ALL J1
0309 0310	C C		FROM 1 TO NPREV, ALL J4 FROM 1 TO N (WHICH MUST BE A POWER OF TWO), AND ALL J5 FROM 1 TO NREM. J4REV-1 IS THE BIT
0311	С		REVERSAL OF J4-1, E.G., SUPPOSE N = 32. THEN FOR J4-1 =
0312	С		10011, J4REV-1 = 11001, ETC.
0313 0314			DIMENSION DATA(1) IPO=2
0315			IP1=IP0*NPREV
0316			IP4=IP1 <sup>*</sup> N
0317			IP5=IP4*NREM
0318 0319	С		I4REV = 1
0319	C		I4REV = 1+(J4REV-1)*IP1 DO 60 I4=1,IP4,IP1
0321	С		I4 = 1+(J4-1)*IP1
0322			IF (I4-I4REV) 10,30,30
0323		10	I1MAX=I4+IP1-IP0
0324	~		DO 20 I1=I4, I1MAX, IPO
0325	С		I1 = 1+(J1-1)*IPO+(J4-1)*IP1
0326 0327	С		DO 20 I5=I1,IP5,IP4 I5 = 1+(J1-1)*IP0+(J4-1)*IP1+(J5-1)*IP4
0328	Ŭ		15REV=14REV+15-14
0329	С		I5REV = 1+(J1-1)*IPO+(J4REV-1)*IP1+(J5-1)*IP4
0330			TEMPR=DATA(15)
0331			TEMPI=DATA(15+1)
0332			DATA(15) = DATA(15REV)
0333 0334			DATA(15+1)=DATA(15REV+1) DATA(15REV)=TEMPR
0335		20	DATA(I5REV+1)=TEMPI
0336	С		ADD ONE WITH DOWNWARD CARRY TO THE HIGH ORDER BIT
0337	С		OF J4REV-1.
0338		-	IP2=IP4/2
0339			IF (I4REV-IP2) 60,60,50
0340 0341		50	I4REV=I4REV-IP2 IP2=IP2/2
0341			IF 2=IF2/2 IF (IP2-IP1) 60,40,40
0343		60	I4REV=I4REV+IP2

0344	RETURN
0345	END

0001 FTN4 0002 C 0003 PROGRAM GASJT 0004 С 0005 C THIS PROGRAM READS AN EXPERIMENTAL TAPE CONTAINING GAS JET 0006 C RECORDINGS, CALCULATES A POWER SPECTRUM FOR EACH RECORDING, 0007 C AVERAGES THE SPECTRA, AND PRODUCES A DISC FILE CONTAINING 0008 C HEADER INFORMATION AS WELL AS THE AVERAGE POWER SPECTRUM. 0009 С 0010 C 0011 C C WRITTEN BY JOHN CARLYLE 0012 0013 C 0014 C 0015 DIMENSION LU(5), IREG(2), INBUF(36), IPBUF(10) 0016 DIMENSION IDCB1(144), TRX(2050), NTAPE(1024), IREC2(512) 0017 DIMENSION POWER(1025), CUM(1025), DOUT(1027), IFILE(2) 0018 EQUIVALENCE (IREG, REG), (CUM, DOUT(2)), (POWER, TRX) 0019 EQUIVALENCE (TRX(1537), NTAPE), (NTAPE(513), IREC2) 0020 DATA IFILE/-1.0/ 0021 CALL RMPAR(LU) 0022 IF(LU(1).EQ.0) LU(1)=1 0023 ILU = LU(1) + 400B0024 C 0025 C GET 'NAMR' AND CREATE DATA FILE 0026 С 0027 10 WRITE(LU(1), 20) 0028 20 FORMAT("/GASJT: ENTER 'NAMR' FOR DATA FILE: \_") 0029 REG=EXEC(1,ILU,INBUF,-72) 0030 ISCHR=1 IF(NAMR(IPBUF, INBUF, IREG(2), ISCHR)) 10,30 0031 0032 30 CALL CREAT(IDCB1, IERR, IPBUF, IFILE, 3, IPBUF(5), IPBUF(6)) 0033 IF(IERR.GE.O) GO TO 50 0034 WRITE(LU(1),40) IERR 40 FORMAT("/GASJT: FILE ERROR ", I4,". TRY AGAIN!",/) 0035 0036 GO TO 10 0037 С 0038 GET HEADER DATA AND WRITE IT TO DATA FILE С 0039 С 0040 50 WRITE(LU(1), 60) 60 FORMAT("/GASJT: TYPE IN ONE LINE OF HEADER DATA.",/) 0041 0042 REG=EXEC(1.ILU, INBUF, 36) CALL CODE(IREG(2)\*2) 0043 0044 READ(INBUF, \*) (POWER(I), I=1,5) IF(POWER(1).NE.0.0) GO TO 100 0045 CALL WRITF(IDCB1, IERR, INBUF, IREG(2)) 0046 IF(IERR.GE.O) GO TO 50 0047 0048 70 WRITE(LU(1),80) IERR 80 FORMAT("/GASJT: FILE ERROR ",14,". ABORTING PROGRAM!",/) 0049

0050		90	CALL PURGE(IDCB1, IERR, IPBUF, IPBUF(5), IPBUF(6))
0051			GO TO 250
0052		<b>10</b> 0	VOLTS=POWER(1)#0.0078125
0053			CALL WRITF(IDCB1, IERR, INBUF, IREG(2))
0054			IF(IERR.LT.O) GO TO 70
0055			CALL WRITF(IDCB1, IERR, INBUF, 0)
0056			IF(IERR.LT.O) GO TO 70
0057	С		
0058	С	GE	T TAPE FILE NUMBER AND POSITION MAG TAPE
0059	С		
0060			WRITE(LU(1),120)
0061		120	FORMAT("/GASJT: TAPE FILE NUMBER? _")
0062			READ(LU(1),*) IFILE(1)
0063			IF(IFILE(1).LE.O) GO TO 110
0064			ICNT=1
0065			CALL EXEC(3,410B)
0066		130	IF(ICNT.EQ.IFILE(1)) GO TO 160
0067			ICNT=ICNT+1
0068			CALL EXEC(3,1310B)
0069			REG=EXEC(3,610B)
0070			IREG(1)=IAND(73B, IREG(1))
0071			IF(IREG(1).EQ.0) GO TO 130
			WRITE(LU(1),150) IREG(1)
0073			FORMAT("/GASJT: MAG TAPE STATUS = ",03,"B. ABORTING ",
0074			+"PROGRAM!",/)
0075			GO TO 90
0076			AD TH DTOMARTON DECORD AND UNDACK TE
0077 0078			AD IN BIOMATION RECORD AND UNPACK IT
0070			IAE= 1
0080			CALL EXEC(1,110B,NTAPE,512)
0081		110	REG=EXEC(3,610B)
0082			IREG(1)=IAND(373B, IREG(1))
0083			IF(IREG(1).EQ.200B) GO TO 200
0084			IF(IREG(1).NE.O) GO TO 140
0085			CALL EXEC(1,110B, IREC2, 512)
0086			REG=EXEC(3,610B)
0087			IREG(1)=IAND(373B, IREG(1))
0088			IF(IREG(1).NE.O) GO TO 140
0089			DO 180 L=1,2047,2
0090			LN=(L+1)/2
0091			L2=L+1
0092			<pre>IREG(2)=IAND(377B,NTAPE(LN))</pre>
0093			<pre>IREG(1)=JSHFT(NTAPE(LN),8)</pre>
0094			IREG(1)=IAND(377B, IREG(1))
0095			TRX(L)=FLOAT(IREG(1)-128) *VOLTS
0096			TRX(L2)=FLOAT(IREG(2)-128)*VOLTS
0097		180	CONTINUE
0098	С		

0099 0100 0101 0102	C C C C	VALUES HAVE BEEN DOUBLED FOR FREQUENCIES OTHER THAN DC CALCULATE AVERAGE IN ARRAY 'CUM'
0103		CALL FOUR2(TRX,2048,1,-1,0)
0104		DO 190 L=1,2049,2
0105		LN = (L+1)/2
0106		TRX(L)=TRX(L)/2048.0
0107		TRX(L+1) = TRX(L+1)/2048.0
0108		POWER(LN)=TRX(L)*TRX(L)+TRX(L+1)*TRX(L+1)
0109		POWER(LN) = POWER(LN) * 20.0
0110		IF(LN.NE.1) POWER(LN)=POWER(LN)#2.0
0111		CUM(LN) = POWER(LN) + CUM(LN)
0112		190 CONTINUE
0113		
0114	~	GO TO 170
0115	C	
0116	C C	The set of
0117 0118	C	
0110		200 IAE=IAE-1 DO 210 I=1,1025
0120		CUM(I)=CUM(I)/FLOAT(IAE)
0120		210 CONTINUE
0122		DOUT(1)=1.00
0123		DOUT(1027) = FLOAT(IAE)
0124		CALL WRITF(IDCB1,IERR,DOUT,2054)
0125		IF(IERR.LT.O) GO TO 70
0126		CALL LOCF(IDCB1, IERR, ICNT, IREC, L, LEN)
0127		IF(IERR.LT.O) GO TO 70
0128		LEN=LEN/2-IREC-1
0129		CALL CLOSE(IDCB1,IERR,LEN)
0130		IF(IERR.GE.O) GO TO 230
0131		WRITE(LU(1),220) IERR,LEN
0132		220 FORMAT("/GASJT: ERROR ",14," IN TRUNCATING FILE BY ",16
0133		+" BLOCKS!",/)
0134		230 WRITE(LU(1),240)
0135		240 FORMAT("/GASJT: FINISHED!",/)
0136		250 CONTINUE
0137		END

0001 FTN4 0002 C 0003 PROGRAM PLFFT 0004 С 0005 С 0006 C THIS PROGRAM WILL MAKE A FREQUENCY DOMAIN PLOT OF ACOUSTIC 0007 C EMISSION SIGNALS USING THE DATA PRODUCED BY <AENOR> AND 0008 C <GASJT>. THE USER HAS THE OPTION OF NORMALIZING THE PLOTS 0009 C USING THE GAS JET DATA FOR THE EXPERIMENT, AND CAN ALSO C EXAMINE SHAPE CHANGES THROUGH CONSTANT ENERGY PLOTS. 0010 0011 С 0012 C 0013 C WRITTEN BY JOHN CARLYLE 0014 С 0015 С 0016 DIMENSION LU(5), IREG(2), INBUF(36), IPBUF(10), TBUF(18) 0017 DIMENSION IDCB1(144), DATA(1028), HBUF(18), IDATA(2056) 0018 DIMENSION IBUF1(6), IBUF2(8), IBUF3(10) 0019 DIMENSION IDCB2(144), GAS(1028) 0020 EQUIVALENCE (REG, IREG), (INBUF, HBUF), (DATA, IDATA) 0021 EQUIVALENCE (DATA(1011), TBUF) 0022 DATA ICNT/1/, IUSLA/17537B/, ITRY/-1/, IMAG/1/ 0023 DATA IBUF1/2HPO,2HWE,2HR ,2H(D,2HBM,2H) / 0024 DATA IBUF2/2HFR, 2HEQ, 2HUE, 2HNC, 2HY, 2H(M, 2HHZ, 2H) / 0025 DATA IBUF3/2HRE, 2HLA, 2HTI, 2HVE, 2H P, 2HOW, 2HER, 0026 +2H (,2HDB,2H) / 0027 C 0028 C RECOVER PARAMETERS 0029 C 0030 CALL RMPAR(LU) 0031 IF(LU(1).EQ.0) LU(1)=10032 ILU=LU(1)+400BС 0033 C GET 'NAMR' INFORMATION 0034 0035 С 0036 CALL PLTLU(LU(1)) 0037 10 WRITE(LU(1).20) ICNT 20 FORMAT("/PLFFT: ENTER 'NAMR' FOR FILE #",I1,": \_") 0038 0039 REG=EXEC(1,ILU,INBUF,-72) 0040 ISCHR=1 IF(NAMR(IPBUF, INBUF, IREG(2), ISCHR)) 10,30 0041 0042 30 IF(ICNT.NE.1) GO TO 80 0043 С 0044 C OPEN FILE #1 0045 С CALL OPEN(IDCB1, IERR, IPBUF, 0, IPBUF(5), IPBUF(6)) 0046 IF(IERR.GE.O) GO TO 60 0047 0048 40 WRITE(LU(1),50) IERR 50 FORMAT("/PLFFT: FILE ERROR ",14,". TRY AGAIN!",/) 0049

0050			GO TO 10
0051	C	0.00	
0052 0053	C C	OPI	EN FILE #2 AND READ GAS JET DATA
0053	C	60	WRITE(LU(1),70)
0055		70	FORMAT ("/PI FET - DI OT MANEFORMS NORMALTERS BY SAC THE WAY
0056		10	FORMAT("/PLFFT: PLOT WAVEFORMS NORMALIZED BY GAS JET? _") READ(LU(1),190) IGAS
0057			IF(IGAS.NE.54505B) GO TO 150
0058			ICNT=2
0059			GO TO 10
0060		80	CALL OPEN(IDCB2,IERR,IPBUF,0,IPBUF(5),IPBUF(6))
0061			IF(IERR.GT.O) GO TO 90
0062			ITRY=ITRY+1
0063			IF(ITRY.LT.2) GO TO 40
0064			GO TO 220
0065		-	ITRY=-1
0066		100	CALL READF(IDCB2, IERR, GAS, 2056, LEN)
0067 0068			IF(LEN.LT.O.OR.IERR.LT.O) GO TO 220
0069			IF(LEN.NE.O.AND.ITRY.GT.O) GO TO 110 IF(LEN.NE.O) GO TO 100
0070			ITRY=1
0071			GO TO 100
0072		110	IF(LEN.EQ.2054) GO TO 120
0073			GO TO 320
0074		120	DO 140 I=2,1026
0075			IF(GAS(I).GT.0.0) GO TO 130
0076			GAS(I) = -99.0
0077			GO TO 140
0078			GAS(I)=ALOGT(GAS(I))
0079 0080	С	140	CONTINUE
0080	C	DF	AD DATA IN PLOT FILE
0082	c	1111	
0083	•	150	ICNT=-1
0084			ITRY=-1
0085		160	WRITE(LU(1),170)
0086		170	FORMAT("/PLFFT: WHICH BIOMATION RECORDING DO YOU WANT? _")
0087			READ(LU(1),*) INUM
0088			IF(ICNT.NE1) GO TO 200
0089			WRITE(LU(1), 180)
0090		180	FORMAT("/PLFFT: PLOT WAVEFORMS WITH CONSTANT ENERGY? _")
0091			READ(LU(1), 190) ICAL
0092		-	FORMAT(A2)
0093			CALL ERASE(LU(1)) CALL READF(IDCB1,IERR,DATA,2056,LEN)
0094 0095		210	IF(IERR.GE.O) GO TO 240
0095		220	WRITE(III(1), 230) IERR
0090		230	FORMAT("/PLFFT: FILE ERROR ",14,". ABORTING PROGRAM!",/)
0098		-50	GO TO 630
• -			-

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0099
        240 IF(LEN.NE.-1) GO TO 260
0100
            WRITE(LU(1).250)
        250 FORMAT("/PLFFT: EOF ENCOUNTERED. FINISHED!")
0101
0102
            GO TO 630
        260 IF(ICNT) 270,300,310
0103
        270 CALL CODE(LEN#2)
0104
0105
            READ(IDATA, *) (TBUF(I), I=1.18)
0106
            IF(TBUF(1).NE.0.0) GO TO 290
0107
            IF(ITRY.GE.O) GO TO 210
0108
            DO 280 I=1,18
0109
            HBUF(I)=DATA(I)
0110
        280 CONTINUE
0111
            INDNT = (73 - LEN * 2) * 7
0112
            ITRY=1
0113
            GO TO 210
0114
        290 TIME=TBUF(2)
0115
            BNDWT=1.0/(TIME*2.048)
0116
            ICNT=0
0117
            GO TO 210
0118
        300 IF(LEN.NE.O) GO TO 210
0119
            ICNT=1
0120
            GO TO 210
0121
        310 IF(LEN.EQ.2054) GO TO 340
0122
        320 WRITE(LU(1),330) LEN
        330 FORMAT("/PLFFT: IMPOSSIBLE LENGTH = ",15,". ABORTING ",
0123
0124
           +"PROGRAM!"./)
0125
            GO TO 630
        340 IF(IFIX(DATA(1027)).LT.INUM) GO TO 210
0126
0127 C
0128 C
        OBTAIN LOG OF DATA AND GET MAX VALUE
0129 C
0130 D
            IMAG=1
0131
            DMAX=-99.0
0132
            DO 370 I=2,1026
            IF(ICAL.EQ.54505B) DATA(I)=DATA(I)*DATA(1)
0133
0134
        350 IF(DATA(I).GT.0.0) GO TO 360
0135
            DATA(I) = -99.0
0136
            GO TO 370
0137
        360 DATA(I)=ALOGT(DATA(I))
            IF(IGAS.EQ.54505B) DATA(I)=DATA(I)-GAS(I)
0138
            DMAX=AMAX1(DMAX,DATA(I))
0139
0140
        370 CONTINUE
0141
            IMAX=IFIX(DMAX)
            IF(DMAX.GE.0.0) IMAX=IMAX+1
0142
0143 C
0144 C DRAW AXES AND TICK MARKS
0145
     С
        380 CALL TPLOT(LU(1),0,137,137)
0146
            CALL TPLOT(LU(1), 1, 937, 137)
0147
```

0148		CALL TPLOT(LU(1),1,937,637)
0149		CALL TPLOT(LU(1),1,137,637)
0150		CALL TPLOT(LU(1),1,137,137)
0151		DO 390 J=1.9
0152		IYP=J*50+137
0153		CALL TPLOT(LU(1),0,137,IYP)
0154		CALL TPLOT(LU(1), 1, 145, IYP)
0155		CALL TPLOT( $LU(1), 0, 929, IYP$ )
0156		CALL TPLOT(LU(1), 1, 937, IYP)
0157	390	CONTINUE
0158		DO 400 J=1,9
0159		IXP=J#80+137
0160		CALL TPLOT(LU(1),0,IXP,137)
0161		CALL TPLOT(LU(1), 1, IXP, 145)
0162		CALL TPLOT(LU(1),0,IXP,629)
0163		CALL TPLOT(LU(1),1,IXP,637)
0164	400	CONTINUE
0165	С	
0166	C LAI	BEL ORDINATE, ABSCISSA, AND GRAPH
0167	С	
0168		DO 420 J=0,5
0169		IYP=J*100+130
0170		LABEL=(IMAX-5+J)*10
0171		CALL TPLOT(LU(1),0,70,IYP)
0172		CALL EXEC(2,LU(1),IUSLA,-2)
0173		WRITE(LU(1),410) LABEL
0174		FORMAT(14)
0175	420	CONTINUE
0176		IF(IGAS.NE.54505B) GO TO 430
0177		CALL SYMB(0.50,2.57,0.14,IBUF3,90.0,19)
0178		GO TO 440
0179		CALL SYMB(0.50,3.13,0.14,IBUF1,90.0,11)
0180	440	DO 460 J=0,5
0181		IXP=J*160+118
0182		XABLE=FLOAT(J)/(10*TIME*FLOAT(IMAG))
0183		CALL TPLOT(LU(1), $0$ , IXP, 102)
0184		CALL EXEC(2,LU(1),IUSLA,-2)
0185	•	WRITE(LU(1),450) XABLE
0186	-	FORMAT(F3.2)
0187	460	CONTINUE
0188		CALL TPLOT(LU(1),0,INDNT,750)
0189		CALL EXEC(2,LU(1),IUSLA,-2)
0190		WRITE(LU(1),470) INBUF
0191	470	FORMAT(36A2)
0192		IF(ICAL.NE.54505B) GO TO 490
0193		CALL TPLOT(LU(1),0,441,650)
0194		CALL EXEC(2,LU(1),IUSLA,-2)
0195	h. C	WRITE(LU(1),480)
0196	480	FORMAT("NOT CALIBRATED")

<pre>0197</pre>				
0198       CALL TPLOT(LU(1),0,329,700)         0199       CALL EXEC(2,LU(1),IUSLA,-2)         0200       WRITE(LU(1),500)         0201       500 FORMAT(26H*NORMALIZED USING GAS JET*)         0203       CALL TPLOT(LU(1),0,435,70)         0204       WRITE(LU(1),520) IBUF2         0205       520 FORMAT(8A2)         0206       CALL TPLOT(LU(1),0,0,0)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       CALL TPLOT(LU(1),0,780,0)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL TPLOT(LU(1),0,780,0)         0214       CALL TPLOT(LU(1),540) BNDWT         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)=FLOAT(IMAG))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       S50 IF(I.NE.1) GO TO 590         0224       S60 IF(I.NE.1) GO TO 590         0225       S70 IYP=137         0226       S80 IF(I.NE.1) IQUIT,IXP,IYP)	0197		490	IF(IGAS.NE.54505B) GO TO 510
0199 CALL EXEC(2,LU(1),IUSLÅ,-2) WRITE(LU(1),500) 0201 500 FORMAT(26H*NORMALIZED USING GAS JET*) 0202 510 CALL TPLOT(LU(1),0,435,70) 0203 CALL EXEC(2,LU(1),IUSLÅ,-2) 0204 WRITE(LU(1),520) IBUF2 0205 520 FORMAT(8&2) 0206 CALL TPLOT(LU(1),0,0,0) 0207 CALL EXEC(2,LU(1),IUSLÅ,-2) 0208 ICNT=DATA(1027) 0209 WRITE(LU(1),530) ICNT 0210 530 FORMAT(* BIOMATION RECORDING *,I3) 0211 CALL TPLOT(LU(1),0,780,0) 0212 CALL EXEC(2,LU(1),IUSLÅ,-2) 0213 WRITE(LU(1),540) BNDWT 0214 540 FORMAT(*BANDWIDTH *,F3.2,* KHZ*) 0215 C 0216 C PLOT POWER SPECTRUM IN DECIBEL FORMAT 0217 C 0218 D0 600 I=1,1025/IMAG 0219 IXP=FLOAT(1)*0.78125*FLOAT(IMAG)*137.0 0220 IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0 0221 IF(IYP-637) 560,560,550 0222 550 IYP=637 0223 G0 TO 580 0224 560 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 0236 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL EXEC(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.115B) GO TO 630 0236 (10 WRITE(LU(1),620) 0237 GO TO 210 0238 (21 WRITE(LU(1),620) 0239 620 FORMAT(*PLFFT: MAGNIFY BY 1,2, OR 5? _*) 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.CT.2) IMAG=1 0242 CALL ERASE(LU(1)) 0234 CALL ERASE(LU(1)) 0244 CO TO 380	0198			
0200       WRITE(LU(1),500)         0201       500 FORMAT(26H*NORMALIZED USING GAS JET*)         0202       510 CALL TPLOT(LU(1),0,435,70)         0203       CALL EXEC(2,LU(1),IUSLA,-2)         0204       WRITE(LU(1),520) IBUF2         0205       520 FORMAT(8A2)         0206       CALL TPLOT(LU(1),0,0,0)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT FOWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(1)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=637         0221       IF(IYP-637) 560,560,550         0222       550 IYP=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       S70 IYP=137         0236	0199			CALL EXEC(2.LU(1), $TUSLA = 2$ )
0201       500       FORMAT(26H"NORMALIZED USING GAS JET")         0202       510       CALL TPLOT(LU(1),0,435,70)         0203       CALL EXEC(2,LU(1),IUSLA,-2)         0204       WRITE(LU(1),520) IBUF2         0205       520       FORMAT(8A2)         0206       CALL EXEC(2,LU(1),IUSLA,-2)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530       FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540       FORMAT("BANDWIDTH ",F3.2," KHZ")         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0221       DE 600 IF(IYP-137) 570,580,580         0222       550         0223       GO TO 560         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=637         0226       S80 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0230       COC CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL CURSR(LU(1)) <td>0200</td> <td></td> <td></td> <td>WRITE(LU(1), 500)</td>	0200			WRITE(LU(1), 500)
2022       510       CALL TPLOT(LU(1),0,435,70)         2030       CALL EXEC(2,LU(1),IUSLA,-2)         2044       WRITE(LU(1),520) IBUF2         2055       520       FORMAT(8A2)         2066       CALL TPLOT(LU(1),0,0,0)         2077       CALL EXEC(2,LU(1),IUSLA,-2)         2088       ICNT=DATA(1027)         2099       WRITE(LU(1),530) ICNT         210       530       FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540       FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0214       540       FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       PLOT FOWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=60AT(1)*0.78125*FLOAT(IMAG)+137.0         0221       IF(IYP-637) 560,560,550         0222       550       IYP=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580	0201		500	
2023       CALL EXEC(2,LU(1),IUSLA,-2)         0204       WRITE(LU(1),520) IBUF2         0205       520 FORMAT(8A2)         0206       CALL TPLOT(LU(1),0,0,0)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(# BIOMATION RECORDING ",I3)         0211       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT FOWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYF=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560         0222       550 IYF=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0230       GOO CONTINUE         0231       CALL CURSR(LU(1), IQUIT,IXP,IYP)         02			510	CALL TPLOT(LII(1), 0 $\mu$ 35 70)
0204       WRITE(LU(1),520) IBUF2         0205       520 FORMAT(8A2)         0206       CALL TPLOT(LU(1),0,0,0)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(1)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550 IYP=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),I,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0				CALL EYEC(2 $I II(1)$ TUSIA $-2$ )
0205       520 FORMAT(8A2)         0206       CALL TPLOT(LU(1),0,0,0)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550 IYP=637         0223       G0 TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       G0 TO 600         0229       590 CALL TPLOT(LU(1),IXP,IYP)         0230       GO CONTINUE         0231       CALL ERASE(LU(1))         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1 <td>-</td> <td></td> <td></td> <td><math display="block">\frac{1}{1} \frac{1}{1} \frac{1}</math></td>	-			$\frac{1}{1} \frac{1}{1} \frac{1}$
0206       CALL TPLOT(LU(1),0,0,0)         0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=637)         0221       IF(IYP-637) 560,560,550         0222       GO TO 580         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.ME.1) GO TO 590         0227       CALL ERASE(LU(1),I,UUIT,IXP,IYP)         0230       600 CONTINUE         0231       CALL ERASE(LU(1),IQUIT,IXP,IYP)         0232       GO TO 210         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 610			520	FORMAT(802)
0207       CALL EXEC(2,LU(1),IUSLA,-2)         0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL TPLOT(LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       S50 IYP=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       S80 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0238       GO TO 600         0229       590 CALL TPLOT(LU(1),IXP,IYP)         0230       CONTINUE         0231       CALL CRASE(LU(1))         0232       CALL ERASE(LU(1))         0233       ICNT=	-		JEU	
0208       ICNT=DATA(1027)         0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       GO TO 580         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0230       GO TO 600         0229       590 CALL TPLOT(LU(1),1,IXP,IYP)         0230       GO TO 600         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQ				
0209       WRITE(LU(1),530) ICNT         0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL TPLOT(LU(1),0,780,0)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       GO TO 580         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0230       GOO CONTINUE         0231       CALL CURSR(LU(1), IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.121B) GO TO 610         0235       IF(IQUIT.EQ.121B) GO TO 610         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210	•			
0210       530 FORMAT(" BIOMATION RECORDING ",I3)         0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0211       IF(IYP-637) 560,560,550         0222       550 IYP=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         026       580 IF(I.NE.1) GO TO 590         027       CALL TPLOT(LU(1),0,IXP,IYP)         028       GO TO 600         029       590 CALL TPLOT(LU(1),IQUIT,IXP,IYP)         0230       600 CONTINUE         0231       CALL ERASE(LU(1))         0232       IF(IQUIT.EQ.43B) GO TO 160         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.121B) GO TO 630         0235       IF(IQUIT.EQ.115B) GO TO 610         0236 <td></td> <td></td> <td></td> <td></td>				
0211       CALL TPLOT(LU(1),0,780,0)         0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550 IYP=637         0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.121B) GO TO 630         0235       IF(IQUIT.EQ.121B) GO TO 610         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0240       READ	-		E20	
0212       CALL EXEC(2,LU(1),IUSLA,-2)         0213       WRITE(LU(1),540) BNDWT         0214       540 FORMAT("BANDWIDTH ",F3.2," KHZ")         0215       C         0216       C PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAG))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550 IYP=637         0223       GO TO 580         0244       560 IF(I.YP-137) 570,580,580         0225       570 IYP=137         0226       GO TO 600         0227       CALL TPLOT(LU(1),0,IXP,IYP)         028       GO TO 600         029       590 CALL TPLOT(LU(1),IQUIT,IXP,IYP)         0230       600 CONTINUE         0231       CALL ERASE(LU(1))         0232       IF(IQUIT.EQ.43B) GO TO 160         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.12B) GO TO 630         0235       IF(IQUIT.EQ.115B) GO TO 610         0236       GO TO 210         0238       610 WRITE(LU(1), 620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,			530	
0213 WRITE(LU(1),540) BNDWT 0214 540 FORMAT("BANDWIDTH ",F3.2," KHZ") 0215 C 0216 C PLOT POWER SPECTRUM IN DECIBEL FORMAT 0217 C 0218 D0 600 I=1,1025/IMAG 0219 IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0 0220 IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0 0221 IF(IYP-637) 560,560,550 0222 550 IYP=637 0223 G0 T0 580 0224 560 IF(IYP-137) 570,580,580 0225 570 IYP=137 0226 580 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 0228 G0 TO 600 0229 590 CALL TPLOT(LU(1),1,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.121B) GO TO 630 0236 (10 WRITE(LU(1),620) 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.IT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380				
0214 540 FORMAT("BANDWIDTH ",F3.2," KHZ") 0215 C 0216 C PLOT POWER SPECTRUM IN DECIBEL FORMAT 0217 C 0218 D0 600 I=1,1025/IMAG 0219 IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0 0220 IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0 0221 IF(IYP-637) 560,560,550 0222 550 IYP=637 0223 G0 TO 580 0224 560 IF(IYP-137) 570,580,580 0225 570 IYP=137 0226 580 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 0228 G0 TO 600 0229 590 CALL TPLOT(LU(1),1,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.115B) GO TO 610 0236 610 WRITE(LU(1),620) 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.T.2) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380				
0215 C 0216 C PLOT POWER SPECTRUM IN DECIBEL FORMAT 0217 C 0218 D0 600 I=1,1025/IMAG 0219 IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0 0220 IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0 0221 IF(IYP-637) 560,560,550 0222 550 IYP=637 0223 G0 T0 580 0224 560 IF(IYP-137) 570,580,580 0225 570 IYP=137 0226 580 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 0228 G0 TO 600 0229 590 CALL TPLOT(LU(1),1,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.121B) GO TO 630 0236 610 WRITE(LU(1),620) 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.LT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380	-		-1	
0216       C       PLOT POWER SPECTRUM IN DECIBEL FORMAT         0217       C         0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550       IYP=637         0223       GO TO 580         0224       560       IF(IYP-137) 570,580,580         0225       570       IYP=137         0226       580       IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         028       GO TO 600         029       590       CALL TPLOT(LU(1),1,IXP,IYP)         0230       600       CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.115B) GO TO 160         0235       IF(IQUIT.EQ.115B) GO TO 610         0236       GIO WRITE(LU(1),620)         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1		_	540	FORMAT("BANDWIDTH ",F3.2," KHZ")
0217 C 0218 D0 600 I=1,1025/IMAG 0219 IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0 0220 IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0 0221 IF(IYP-637) 560,560,550 0222 550 IYP=637 0223 G0 TO 580 0224 560 IF(IYP-137) 570,580,580 0225 570 IYP=137 0226 580 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 0228 G0 TO 600 0229 590 CALL TPLOT(LU(1),1,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.121B) GO TO 630 0236 CO CONTAUTE 0237 GO TO 210 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.LT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380	_			
0218       D0 600 I=1,1025/IMAG         0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550       IYP=637         0223       GO TO 580         0224       560       IF(IYP-137) 570,580,580         0225       570       IYP=137         0226       580       IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590       CALL TPLOT(LU(1),IQUIT,IXP,IYP)         0230       600       CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.115B) GO TO 610         0236       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244			PL(	OT POWER SPECTRUM IN DECIBEL FORMAT
0219       IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0         0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550         0223       GO TO 580         0224       560         0225       570         0226       580         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590         021       CALL TPLOT(LU(1),1,IXP,IYP)         0220       CALL TPLOT(LU(1),1,IXP,IYP)         0230       600         0229       590         021       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0230       600         0231       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.121B) GO TO 630         0235       IF(IQUIT.EQ.115B) GO TO 610         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610         0240       READ(LU(1),620)         0239       620         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5		С		
0220       IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0         0221       IF(IYP-637) 560,560,550         0222       550         0223       GO TO 580         0224       560         0225       570         0226       580         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590         021       CALL TPLOT(LU(1),1,IXP,IYP)         0220       600         0229       590         021       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0220       600         0221       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0230       600         0231       CALL CURSR(LU(1))         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.121B) GO TO 630         0235       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610         0239       620         0240       READ(LU(1), 620)         0239       620         0240       READ(LU(1), *) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG				DO 600 I=1,1025/IMAG
0221       IF(IYP-637) 560,560,550         0222       550       IYP=637         0223       GO TO 580         0224       560       IF(IYP-137) 570,580,580         0225       570       IYP=137         0226       580       IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         028       GO TO 600         029       590         021       CALL TPLOT(LU(1),1,IXP,IYP)         0230       600         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.115B) GO TO 630         0236       GO TO 210         0238       610         0239       620         0230       620         0231       READ(LU(1), 620)         0232       GO TO 210         0238       610         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0219			IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0
0222 550 IYP=637 0223 GO TO 580 0224 560 IF(IYP=137) 570,580,580 0225 570 IYP=137 0226 580 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 028 GO TO 600 0229 590 CALL TPLOT(LU(1),1,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.121B) GO TO 630 0236 IF(IQUIT.EQ.115B) GO TO 610 0237 GO TO 210 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.LT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380	0220			IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0
0223       GO TO 580         0224       560 IF(IYP-137) 570,580,580         0225       570 IYP=137         0226       580 IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590 CALL TPLOT(LU(1),1,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1), 620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0221			IF(IYP-637) 560,560,550
0224 560 IF(IYP-137) 570,580,580 0225 570 IYP=137 0226 580 IF(I.NE.1) GO TO 590 0227 CALL TPLOT(LU(1),0,IXP,IYP) 0228 GO TO 600 0229 590 CALL TPLOT(LU(1),1,IXP,IYP) 0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.121B) GO TO 630 0236 IF(IQUIT.EQ.115B) GO TO 610 0237 GO TO 210 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.LT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380	0222		550	IYP=637
0225       570       IYP=137         0226       580       IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590       CALL TPLOT(LU(1),1,IXP,IYP)         0230       600       CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5?")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0223			GO TO 580
0226       580       IF(I.NE.1) GO TO 590         0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590       CALL TPLOT(LU(1),1,IXP,IYP)         0230       600       CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0224		560	IF(IYP-137) 570,580,580
0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590 CALL TPLOT(LU(1),1,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0225		570	IYP=137
0227       CALL TPLOT(LU(1),0,IXP,IYP)         0228       GO TO 600         0229       590 CALL TPLOT(LU(1),1,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0226		580	IF(I.NE.1) GO TO 590
0228       GO TO 600         0229       590 CALL TPLOT(LU(1),1,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1), 620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	0227			
0229       590 CALL TPLOT(LU(1),1,IXP,IYP)         0230       600 CONTINUE         0231       CALL CURSR(LU(1),IQUIT,IXP,IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1), 620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380				
0230 600 CONTINUE 0231 CALL CURSR(LU(1),IQUIT,IXP,IYP) 0232 CALL ERASE(LU(1)) 0233 ICNT=ICNT+1 0234 IF(IQUIT.EQ.43B) GO TO 160 0235 IF(IQUIT.EQ.121B) GO TO 630 0236 IF(IQUIT.EQ.115B) GO TO 610 0237 GO TO 210 0238 610 WRITE(LU(1),620) 0239 620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _") 0240 READ(LU(1),*) IMAG 0241 IF(IMAG.LT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380			590	
0231       CALL CURSR(LU(1), IQUIT, IXP, IYP)         0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1), 620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1), *) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-			
0232       CALL ERASE(LU(1))         0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-		000	
0233       ICNT=ICNT+1         0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-			
0234       IF(IQUIT.EQ.43B) GO TO 160         0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-			
0235       IF(IQUIT.EQ.121B) GO TO 630         0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380				
0236       IF(IQUIT.EQ.115B) GO TO 610         0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-			
0237       GO TO 210         0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-			
0238       610 WRITE(LU(1),620)         0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-			•
0239       620 FORMAT("/PLFFT: MAGNIFY BY 1,2, OR 5? _")         0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380			610	
0240       READ(LU(1),*) IMAG         0241       IF(IMAG.LT.1) IMAG=1         0242       IF(IMAG.GT.2) IMAG=5         0243       CALL ERASE(LU(1))         0244       GO TO 380	-		620	$\mathbf{r}_{\text{COMM}}$
0241 IF(IMAG.LT.1) IMAG=1 0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380			020	
0242 IF(IMAG.GT.2) IMAG=5 0243 CALL ERASE(LU(1)) 0244 GO TO 380				
0243 CALL ERASE(LU(1)) 0244 GO TO 380				
0244 GO TO 380				
-	-			
0245 C		_		GU TU 380
	0245	С		

0246 C QUIT 0247 C 0248 630 CALL CLOSE(IDCB1,IERR) 0249 IF(IGAS.EQ.54505B) CALL CLOSE(IDCB2,IERR) 0250 END

0001 FTN4 0002 C 0003 PROGRAM AECNF 0004 С 0005 С THIS PROGRAM AVERAGES THE POWER SPECTRA IN THE FILE CREATED 0006 С UNDER <AENOR> AND THEN PLOTS THE AVERAGED POWER SPECTRUM 0007 С ALONG WITH THE CONFIDENCE LIMITS SPECIFIED BY THE USER. 8000 С THE USER CAN NORMALIZE THE AVERAGE POWER SPECTRUM USING 0009 С THE GAS JET DATA CALCULATED WITH <GASJT>. 0010 С 0011 С 0012 C 0013 С WRITTEN BY JOHN CARLYLE 0014 С 0015 C 0016 DIMENSION LU(5), IREG(2), INBUF(36), IPBUF(10), TBUF(18) 0017 DIMENSION IDCB1(144), DATA(1028), HBUF(18), IDATA(2056) 0018 DIMENSION IBUF1(6), IBUF2(8), IDCB2(144), GAS(1028) 0019 DIMENSION AVE(1026), VAR(1025), IBUF3(10) 0020 EQUIVALENCE (REG, IREG), (INBUF, HBUF), (DATA, IDATA) 0021 EQUIVALENCE (DATA(1011), TBUF), (TAVE, AVE) 0022 DATA ICNT/1/, IUSLA/17537B/, ITRY/-1/, IMAG/1/, IPASS/-1/ 0023 DATA IBUF1/2HPO,2HWE,2HR ,2H(D,2HBM,2H) / 0024 DATA IBUF2/2HFR, 2HEQ, 2HUE, 2HNC, 2HY, 2H(M, 2HHZ, 2H) / 0025 DATA IBUF3/2HRE,2HLA,2HTI,2HVE,2H P,2HOW,2HER, 0026 +2H (,2HDB,2H) / 0027 C 0028 С **RECOVER PARAMETERS** 0029 C 0030 CALL RMPAR(LU) 0031 IF(LU(1).EQ.0) LU(1)=10032 ILU=LU(1)+400B0033 С С GET 'NAMR' INFORMATION 0034 0035 С 0036 CALL PLTLU(LU(1)) 0037 10 WRITE(LU(1),20) ICNT 20 FORMAT("/AECNF: ENTER 'NAMR' FOR FILE #",I1,": \_") 0038 REG=EXEC(1,ILU,INBUF,-72) 0039 0040 ISCHR=1 IF(NAMR(IPBUF, INBUF, IREG(2), ISCHR)) 10,30 0041 30 IF(ICNT.NE.1) GO TO 90 0042 0043 С 0044 С OPEN FILE #1 0045 С CALL OPEN(IDCB1,IERR,IPBUF,0,IPBUF(5),IPBUF(6)) 0046 IF(IERR.GE.O) GO TO 60 0047 40 WRITE(LU(1),50) IERR 0048 50 FORMAT("/AECNF: FILE ERROR ",14,". TRY AGAIN!",/) 0049

0050			GO TO 10
0051	C	<u> </u>	
0052 0053	C C	OPI	EN FILE #2
0054	C	60	WRITE(LU(1),70)
0055		70	FORMAT("/AECNF: PLOT WAVEFORMS NORMALIZED BY GAS JET? _")
0056			READ(LU(1),80) IGAS
0057		80	FORMAT(A2)
0058			IF(IGAS.NE.54505B) GO TO 100
0059 0060			ICNT=2 GO TO 10
0061		90	CALL OPEN(IDCB2,IERR,IPBUF,0,IPBUF(5),IPBUF(6))
0062		50	IF(IERR.GT.0) GO TO 100
0063			ITRY=ITRY+1
0064			IF(ITRY.LT.2) GO TO 40
0065	_		GO TO 130
0066	C		
0067 0068	C C	REI	AD DATA IN PLOT FILE
0069	U	100	CALL ERASE(LU(1))
0070			ICNT=-1
0071			ITRY=-1
0072		120	CALL READF(IDCB1,IERR,DATA,2056,LEN)
0073			IF(IERR.GE.O) GO TO 150
0074			WRITE(LU(1),140) IERR
0075		140	FORMAT("/AECNF: FILE ERROR ",14,". ABORTING PROGRAM!",/)
0076 0077		150	GO TO 760 IF(LEN.NE1) GO TO 180
0078		100	IF(ICNT.GT.0) GO TO 170
0079			WRITE(LU(1),160)
0080		160	FORMAT("/AECNF: EOF ENCOUNTERED. ABORTING PROGRAM!",/)
0081			GO TO 760
0082			IF(IPASS) 300,340,340
0083			IF(ICNT) 190,230,240
0084		190	CALL CODE(LEN $\ddagger$ 2) DEAD(IDATA $\ddagger$ ) (TRUE(I) I=1 18)
0085 0086			READ(IDATA,*) (TBUF(I),I=1,18) IF(TBUF(1).NE.O.O) GO TO 210
0087			IF(ITRY.GE.O.OR.IPASS.GT.O) GO TO 120
0088			DO 200 I=1,18
0089			HBUF(I)=DATA(I)
0090			INDNT=(73-LEN*2)*7
0091			ITRY=1
0092		200	CONTINUE
0093		040	GO TO 120
0094 0095		210	IF(IPASS.GT.0) GO TO 220 TIME=TBUF(2)
0095			IIME = 1607(2) BNDWT=1.0/(TIME * 2.048)
0090		220	ICNT=0
0098			GO TO 120

```
0099
        230 IF(LEN.NE.O) GO TO 120
0100
            ICNT=1
0101
            GO TO 120
0102
        240 IF(LEN.EQ.2054) GO TO 270
0103
        250 WRITE(LU(1),260) LEN
        260 FORMAT("/AECNF: IMPOSSIBLE LENGTH = ", 15,". ABORTING ",
0104
0105
           +"PROGRAM!"./)
0106
            GO TO 760
0107
     С
0108
     C CALCULATE AVERAGE OF NORMALIZED AE WAVEFORMS
0109
     С
0110
        270 IF(IPASS) 280,320,320
0111
        280 NWAVE=NWAVE+1
0112
            DO 290 I=2,1026
0113
            DATA(I) = DATA(I) = DATA(1)
0114
            AVE(I) = DATA(I) + AVE(I)
0115
        290 CONTINUE
0116
            TAVE=TAVE+DATA(1)
0117
            GO TO 120
        300 CALL RWNDF(IDCB1, IERR)
0118
0119
            IF(IERR.LT.O) GO TO 130
0120
            TAVE=TAVE/FLOAT(NWAVE)
0121
            DO 310 I=2,1026
0122
            AVE(I)=AVE(I)/FLOAT(NWAVE)
0123
        310 CONTINUE
0124
            IPASS=1
0125
            GO TO 110
0126 C
0127 C CALCULATE VARIANCE OF NORMALIZED AE WAVEFORMS
0128
     С
0129
        320 DO 330 I=2,1026
0130
            DATA(I) = DATA(I) * DATA(1)
            VAR(I-1) = (DATA(I) - AVE(I)) * (DATA(I) - AVE(I)) + VAR(I-1)
0131
0132
        330 CONTINUE
0133
            GO TO 120
0134
        340 NDEGF=NWAVE-1
0135
            DO 350 I=1.1025
            VAR(I)=SQRT(VAR(I)/(FLOAT(NWAVE)*FLOAT(NDEGF)))
0136
0137
        350 CONTINUE
0138
      С
     C READ GAS JET DATA
0139
0140
      С
0141
            ITRY=-1
            IF(IGAS.NE.54505B) GO TO 410
0142
        360 CALL READF(IDCB2, IERR, GAS, 2056, LEN)
0143
            IF(LEN.LT.O.OR.IERR.LT.O) GO TO 130
0144
            IF(LEN.NE.O.AND.ITRY.GT.O) GO TO 370
0145
            IF(LEN.NE.O) GO TO 360
0146
0147
            ITRY=1
```

```
0148
            GO TO 360
0149
        370 IF(LEN.EQ.2054) GO TO 380
0150
            GO TO 250
        380 DO 400 I=2,1026
0151
0152
            IF(GAS(I).GT.0.0) GO TO 390
0153
            GAS(I) = -99.0
0154
            GO TO 400
0155
        390 GAS(I)=ALOGT(GAS(I))
0156
        400 CONTINUE
0157
     С
0158 C GET PROPER "T" VALUE AND CONFIDENCE LIMITS
0159 C
0160
        410 WRITE(LU(1),420) NDEGF
        420 FORMAT("/AECNF: ENTER 'T' VALUE AND CONFIDENCE LIMITS ",
0161
           +"FOR ",I3," DF: _")
0162
            READ(LU(1),*) TVAL, ICONF
0163
0164
            CALL ERASE(LU(1))
0165
            IMAG = 1
0166 C
0167 C OBTAIN LOG OF DATA AND FIND MAX FOR PLOT
0168 C
0169
        430 IPASS=-1
0170
        440 IF(IPASS) 450,480,480
        450 DMAX=-99.0
0171
0172
            DO 470 I=2,1026
0173
            DATA(I)=(AVE(I)+TVAL*VAR(I-1))/TAVE
0174
            IF(DATA(I).GT.0.0) GO TO 460
0175
            DATA(I) = -99.0
0176
            GO TO 470
0177
        460 DATA(I)=ALOGT(DATA(I))
0178
            IF(IGAS.EQ.54505B) DATA(I)=DATA(I)-GAS(I)
0179
            DMAX=AMAX1(DMAX,DATA(I))
0180
        470 CONTINUE
0181
            IMAX=IFIX(DMAX)
0182
            IF(DMAX.GE.0.0) IMAX=IMAX+1
0183
            GO TO 510
0184
        480 DO 500 I=2.1026
            DATA(I)=(AVE(I)-FLOAT(IPASS)*TVAL*VAR(I-1))/TAVE
0185
            IF(DATA(I).GT.0) GO TO 490
0186
0187
            DATA(I) = -99.0
0188
            GO TO 500
0189
        490 DATA(I)=ALOGT(DATA(I))
            IF(IGAS.EQ.54505B) DATA(I)=DATA(I)-GAS(I)
0190
0191
        500 CONTINUE
0192
            GO TO 670
0193
     С
0194 C DRAW AXES AND TICK MARKS
0195
      С
0196
        510 CALL TPLOT(LU(1),0,137,137)
```

Source Code of Program AECNF

0197 0198 0199 0200 0201 0202 0203 0204 0205 0206 0207 0208 0209 0210 0211 0212 0213		520	CALL TPLOT(LU(1),1,937,137) CALL TPLOT(LU(1),1,937,637) CALL TPLOT(LU(1),1,137,637) CALL TPLOT(LU(1),1,137,137) DO 520 J=1,9 IYP=J*50+137 CALL TPLOT(LU(1),0,137,IYP) CALL TPLOT(LU(1),1,145,IYP) CALL TPLOT(LU(1),0,929,IYP) CALL TPLOT(LU(1),1,937,IYP) CONTINUE DO 530 J=1,9 IXP=J*80+137 CALL TPLOT(LU(1),0,IXP,137) CALL TPLOT(LU(1),1,IXP,145) CALL TPLOT(LU(1),0,IXP,629) CALL TPLOT(LU(1),1,IXP,637)
0214		530	CONTINUE
0215	С		
0216	C	LAI	BEL ORDINATE, ABSCISSA, AND GRAPH
0217 0218	С		DO 550 J=0,5
0210			IYP=J*100+130
0220			LABEL= $(FLOAT(IMAX)-5.0+FLOAT(J))*10.0$
0221			CALL TPLOT( $LU(1), 0, 70, IYP$ )
0222			CALL EXEC(2,LU(1),IUSLA, $-2$ )
0223			WRITE(LU(1),540) LABEL
0224		540	FORMAT(14)
0225		-	CONTINUE
0226			IF(IGAS.NE.54505B) GO TO 560
0227			CALL SYMB(0.50,2.57,0.14,IBUF3,90.0,19)
0228			GO TO 570
0229		560	CALL SYMB(0.50,3.13,0.14,IBUF1,90.0,11)
0230		570	DO 590 J=0,5
0231			IXP=J#160+118
0232			XABLE=FLOAT(J)/(10.0*TIME*FLOAT(IMAG))
0233			CALL TPLOT(LU(1),0,IXP,102)
0234			CALL EXEC(2,LU(1),IUSLA,-2)
0235			WRITE(LU(1),580) XABLE
0236			FORMAT(F3.2)
0237		590	CONTINUE
0238			CALL TPLOT(LU(1),0,INDNT,750)
0239			CALL EXEC(2,LU(1),IUSLA,-2)
0240		•	WRITE(LU(1),600) INBUF
0241		600	FORMAT(36A2)
0242			CALL TPLOT(LU(1),0,364,725)
0243			CALL EXEC(2,LU(1),IUSLA, $-2$ )
0244		610	WRITE(LU(1),610) ICONF FORMAT(I2,"% CONFIDENCE LIMITS")
0245		010	FURMAT(12, " & CONFIDENCE DIMITO )

0246		IF(IGAS.NE.54505B) GO TO 630
0247		CALL TPLOT(LU(1),0,329,700)
0248		CALL EXEC(2,LU(1),IUSLA,-2)
0249	6.0.0	WRITE(LU(1),620)
0250	620	FORMAT(26H"NORMALIZED USING GAS JET")
0251	630	CALL TPLOT(LU(1),0,435,70)
0252		CALL EXEC(2,LU(1),IUSLA,-2)
0253	<b>.</b>	WRITE(LU(1),640) IBUF2
0254	640	FORMAT(8A2)
0255		CALL TPLOT(LU(1),0,0,0)
0256		CALL EXEC(2,LU(1),IUSLA,-2)
0257		WRITE(LU(1),650) NWAVE
0258	650	FORMAT(I3, " SPECTRA AVERAGED")
0259		CALL TPLOT(LU(1),0,780,0)
0260		CALL EXEC(2,LU(1),IUSLA,-2)
0261		WRITE(LU(1),660) BNDWT
0262		FORMAT("BANDWIDTH ",F3.2," KHZ")
0263	С	
0264		OT POWER SPECTRUM IN DECIBEL FORMAT
0265	С	
0266	670	DO 730 I=1,1025/IMAG
0267		<pre>IXP=FLOAT(I)*0.78125*FLOAT(IMAG)+137.0</pre>
0268		IYP=(DATA(I+1)-FLOAT(IMAX))*100.0+637.0
0269		IF(IYP-637) 690,690,680
0270	680	IYP=637
0271		GO TO 710
0272	-	IF(IYP-137) 700,710,710
0273	•	IYP=137
0274	710	IF(I.NE.1.AND.IPASS.NE.0) GO TO 720
0275		CALL TPLOT(LU(1),-1,IXP,IYP)
0276		GO TO 730
0277		CALL TPLOT(LU(1),1,IXP,IYP)
0278	730	CONTINUE
0279		IPASS=IPASS+1
0280		IF(IPASS.LE.1) GO TO 440
0281		CALL CURSR(LU(1),IQUIT,IXP,IYP)
0282		CALL ERASE(LU(1))
0283		IF(IQUIT.EQ.115B) GO TO 740
0284		IF(IQUIT.EQ.124B) GO TO 410
0285		GO TO 760
0286		WRITE(LU(1),750)
0287	750	FORMAT("/AECNF: MAGNIFY BY 1,2, OR 5? _")
0288		READ(LU(1),*) IMAG
0289		IF(IMAG.LT.1) IMAG=1
0290		IF(IMAG.GT.2) IMAG=5
0291		CALL ERASE(LU(1))
0292		GO TO 430
0293		
0294	C QU	T (h)

0295	С		
0296		760	CALL CLOSE(IDCB1,IERR)
0297			IF(IGAS.EQ.54505B) CALL CLOSE(IDCB2, IERR)
0298			END

0001 FTN4 0002 C 0003 PROGRAM DBSVR 0004 С 0005 С THIS PROGRAM WILL SAVE THE DISC DATA FILES CREATED USING 0006 С <AENOR> AND <GASJT> ON TAPE AND VERIFY THEM. THE USER 0007 С 0008 C CAN ALSO RESTORE THE DATA FILES TO DISC. 0009 С 0010 C 0011 С WRITTEN BY JOHN CARLYLE 0012 С 0013 С 0014 DIMENSION LU(5), IREG(2), INBUF(36), IPBUF(10) DIMENSION IDCB1(144), IDATA(2056), ICOMP(2056), IDEOF(6) 0015 0016 EQUIVALENCE (REG, IREG) 0017 DATA IDEOF/401B,77577B,77577B,401B,100000B,1B/ 0018 C 0019 C RECOVER PARAMETERS 0020 C 0021 CALL RMPAR(LU) 0022 IF(LU(1).EQ.0) LU(1)=10023 IF(LU(2).EQ.0) LU(2)=80024 CALL EXEC(3,400B+LU(2)) 0025 C 0026 C DETERMINE MODE 0027 C 0028 WRITE(LU(1),10) 0029 10 FORMAT("/DBSVR: IS THIS A RESTORE OPERATION? \_") 0030 READ(LU(1),20) IREST 0031 20 FORMAT(A2) 0032 IF(IREST.EQ.54505B) GO TO 250 0033 С 0034 POSITION MAG TAPE FOR SAVE С 0035 С 0036 WRITE(LU(1), 30)30 FORMAT("/DBSVR: IS ARCHIVE TAPE BLANK? \_") 0037 0038 READ(LU(1),20) IVIRG 0039 IF(IVIRG.EQ.54505B) GO TO 50 0040 40 CALL EXEC(3,1300B+LU(2)) 0041 REG=EXEC(1,LU(2),INBUF,36) IF(IAND(IREG(1),200B).EQ.0) GO TO 40 0042 CALL EXEC(3,1400B+LU(2)) 0043 0044 С SAVE FILE OPENING SECTION 0045 С 0046 С 0047 50 WRITE(LU(1),60) 60 FORMAT("/DBSVR: ENTER NAME OF FILE TO BE SAVED: \_") 0048 REG=EXEC(1,400B+LU(1),INBUF,-72)0049

0050 0051 0052 0053 0054 0055 0056 0057	с	80	<pre>ISCHR=1 IF(NAMR(IPBUF,INBUF,IREG(2),ISCHR)) 50,70 CALL OPEN(IDCB1,IERR,IPBUF,0,IPBUF(5),IPBUF(6)) IF(IERR.GE.0) GO TO 100 WRITE(LU(1),90) IERR FORMAT("/DBSVR: FILE ERROR ",I4,". TRY AGAIN1",/) GO TO 50</pre>
0058 0059	C C	SAV	JE DATA TRANSFER SECTION
0060 0061		100	CALL READF(IDCB1,IERR,IDATA,2056,LEN) IF(IERR.GE.O) GO TO 130
0062		110	WRITE(LU(1), 120) IERR
0063			FORMAT("/DBSVR: FILE ERROR ",14,". ABORTING PROGRAM!",/)
0064			GO TO 210
0065		130	IF(LEN.NE1) GO TO 150
0066		150	WRITE(LU(1),140)
0067		110	
0068		140	FORMAT("/DBSVR: EOF ENCOUNTERED. FILE ON MAG TAPE!",/)
0069			CALL EXEC(3,100B+LU(2)) GO TO 220
0009		150	
-			IF(LEN) 160,180,160
0071 0072			CALL EXEC(2,LU(2),IDATA,LEN)
-		170	REG=EXEC(3,600B+LU(2))
0073			IREG(1)=IAND(IREG(1),73B) $IE(IDEG(1),NE(0),CO,TO,100)$
0074			IF(IREG(1).NE.0) GO TO 190
0075		100	GO TO 100
0076		100	CALL EXEC(2,LU(2),IDEOF,6)
0077		100	GO TO 170
0078			WRITE(LU(1),200) IREG(1) FORMAT("/DBSVR: MAG TAPE STATUS = ",03,"B. ABORTING ",
0079 0080			
			+"PROGRAM!",/)
0081 0082		210	IF(IREST.EQ.54505B) GO TO 490
0082			CALL EXEC(3,1400B+LU(2)) CALL EXEC(3,300B+LU(2))
0084			CALL EXEC $(3, 100B+LU(2))$
0085			GO TO 490
0086		220	IOK=IVRFY(IDCB1,IDATA,ICOMP,LU(2),IVIRG)
0087		220	IF(IOK.EQ.1) GO TO 230
0088			WRITE(LU(1),460)
0089			GO TO 210
0090		220	CALL CLOSE(IDCB1,IERR)
0090		230	WRITE(LU(1),240)
0091		210	FORMAT("/DBSVR: SAVE ANOTHER FILE? _")
0092		24V	IVIRG=47117B
0095			READ(LU(1), 20) IMORE
0094			IF(IMORE.EQ.54505B) GO TO 50
0095			CALL EXEC(3,100B+LU(2))
-			GO TO 510
0097 0098	С		
0090	U		

```
0099
     C FILE POSITIONING FOR RESTORE
0100 C
0101
        250 WRITE(LU(1),260)
        260 FORMAT("/DBSVR: ENTER FILE NUMBER: _")
0102
0103
            READ(LU(1), *) IFILE
0104
            ICNT=1
0105
            IF(IFILE) 270,270,290
0106
        270 WRITE(LU(1),280)
        280 FORMAT("/DBSVR: INVALID MAG TAPE FILE. TRY AGAIN!",/)
0107
0108
            GO TO 250
        290 IF(IFILE.EQ.1) GO TO 310
0109
0110
        300 CALL EXEC(3,1300B+LU(2))
0111
            ICNT=ICNT+1
0112
            IF(ICNT.LT.IFILE) GO TO 300
0113
            GO TO 320
0114
        310 IVIRG=54505B
0115
        320 WRITE(LU(1),330)
0116
        330 FORMAT("/DBSVR: FILE ID IS:")
0117
            REG=EXEC(1,LU(2),IDATA,2056)
            CALL EXEC(2,LU(1),IDATA,IREG(2))
0118
0119
            WRITE(LU(1),340)
0120
        340 FORMAT("/DBSVR: OK TO RESTORE? _")
0121
            READ(LU(1), 20) IYEP
0122
            IF(IYEP.EQ.54505B) GO TO 350
0123
            CALL EXEC(3,400B+LU(2))
0124
            IVIRG=0
0125
            GO TO 250
0126
        350 CALL EXEC(3,200B+LU(2))
0127
            ITRY=0
0128 C
0129
     C RESTORE FILE CREATION SECTION
0130
     С
0131
        360 WRITE(LU(1),370)
        370 FORMAT("/DBSVR: ENTER FILE NAME FOR DATA STORAGE: _")
0132
            REG=EXEC(1,400B+LU(1),INBUF,-72)
0133
0134
            ISCHR=1
            IF(NAMR(IPBUF, INBUF, IREG(2), ISCHR)) 360, 380
0135
0136
        380 \text{ IREG}(1) = -1
            IREG(2)=0
0137
            CALL CREAT(IDCB1, IERR, IPBUF, IREG, 3, IPBUF(5), IPBUF(6))
0138
0139
            IF(IERR.GE.O) GO TO 390
0140
            ITRY=ITRY+1
            IF(ITRY.GE.3) GO TO 110
0141
            WRITE(LU(1),90) IERR
0142
0143
            GO TO 360
0144
     С
0145 C RESTORE DATA TRANSFER SECTION
0146
     С
        390 REG=EXEC(1,LU(2),IDATA,2056)
0147
```

0148		IF(IAND(IREG(1),200B).GT.0) GO TO 420
0149		IREG(1)=IAND(IREG(1),73B)
0150		IF(IREG(1).NE.O) GO TO 190
0151		IF(IREG(2).NE.6) GO TO 410
0152		DO 400 I=1,6
0153		IF(IDATA(I).NE.IDEOF(I)) GO TO 410
0154	400	CONTINUE
0155		IREG(2)=0
0156	410	CALL WRITF(IDCB1,IERR,IDATA,IREG(2))
0157		IF(IERR.LT.0) GO TO 110
0158		GO TO 390
0159	120	CALL LOCF(IDCB1,IERR,ICNT,IREC,L,LEN)
0160	720	LEN=LEN/2-IREC-1
0161		CALL CLOSE(IDCB1,IERR,LEN)
0162		IF(IERR.GE.O) GO TO 440
0163		WRITE(LU(1),430) IERR,LEN
0164	)120	
0165	-50	FORMAT("/DBSVR: ERROR ",14," IN TRUNCATING FILE BY ",16, +" BLOCKS!",/)
0166		GO TO 500
0167	טונו	
0168	440	CALL OPEN(IDCB1,IERR,IPBUF,0,IPBUF(5),IPBUF(6)) WRITE(LU(1),450)
0169	150	FORMAT("/DBSVR: EOF ENCOUNTERED. FILE ON DISC!",/)
0170	- 50	IOK=IVRFY(IDCB1,IDATA,ICOMP,LU(2),IVIRG)
0171		IF(IOK.EQ.1) GO TO 470
0172		WRITE(LU(1),460)
0173	)160	FORMAT("/DBSVR: VERIFICATION ERROR. ABORTING ",
0174	400	+"PROGRAM!",/)
0175		GO TO 500
0176		CALL CLOSE(IDCB1,IERR)
0177	-10	WRITE(LU(1), 480)
0178	<u>480</u>	FORMAT("/DBSVR: RESTORE ANOTHER FILE? _")
0179	100	READ(LU(1),20) IMORE
0180		IF(IMORE.NE. 54505B) GO TO 510
0181		CALL EXEC $(3,400B+LU(2))$
0182		IVIRG=0
0183		GO TO 250
0184	С	
0185		IT
0186	C	
0187	-	IF(IREST.EQ.54505B) GO TO 500
0188	1,50	CALL CLOSE(IDCB1, IERR)
0189		GO TO 510
0190	500	CALL PURGE(IDCB1, IERR, IPBUF, IPBUF(5), IPBUF(6))
0191	510	CALL EXEC(3,400B+LU(2))
0192	510	END
0192		FUNCTION IVRFY(IDCB1,IDATA,ICOMP,LU,IVIRG)
0193		DIMENSION IDCB1(1), IDATA(1), ICOMP(1), IREG(2)
0194		EQUIVALENCE (REG, IREG)
0195		CALL RWNDF(IDCB1,IERR)
0190		

0197		CALL EXEC(3,1400B+LU)
0198		CALL EXEC(3,1400B+LU)
0199		IF(IVIRG.EQ.54505B) GO TO 10
0200		CALL EXEC(3,300B+LU)
0201	10	REG=EXEC(1,LU,ICOMP,2056)
0202		CALL READF(IDCB1, IERR, IDATA, 2056, LEN)
0203		IF(IERR.LT.O.OR.IAND(IREG(1),73B).NE.O) GO TO 40
0204		IF(LEN.EQ1.OR.IAND(IREG(1),200B).NE.0) GO TO 30
0205		IF(LEN.EQ.O) GO TO 10
0206		IF(IREG(2).NE.LEN) GO TO 40
0207		DO 20 I=1,LEN
0208		IF(IDATA(I).NE.ICOMP(I)) GO TO 40
0209	20	CONTINUE
0210		GO TO 10
0211	30	IF(LEN.EQ1.AND.IAND(IREG(1),200B).NE.0) GO TO 50
0212	40	IVRFY=-1
0213		RETURN
0214	50	IVRFY=1
0215		RETURN
0216		END

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