Indian J. Phys. 43, 23-39, (1969)

## Test of current viscosity theories for dilute polymer solutions in solvent-nonsolvent mixtures

BY DILIP K. SARKAR AND SANTI R. PALIT

Department of Physical Chemistry,

### Indian Association for the Cultivation of Science, Jadavpur, Calcutta-32, India.

## (Received 10, January 1969)

The linear expansion factor  $<_{\eta}$  for the fractions of a number of polymers in various solvent-nonsolvent mixtures has been determined using Stockmayer-Fixman's relationship. The validity of the Flory, Kurata and Ptitsyn theories has been tested in terms of the dependence of the function  $<_{\eta}$  on molecular weight using our data on poly m-methyl styrene and from available literature data. It has been found that Kurata theory (and in a few cases Ptitsyn theory) are in better agreement than that of Flory or Ptitsyn. Palit's viscosity-molecular weight relationship has been found to be satisfactory in almost all cases.

#### 1. INTRODUCTION

Of the equations describing volume effects on the dimensions of macromolecules in a good solvent, the best known are Flory's (1948, 1949, 1951),

$$\alpha_{\eta}^{5} - \alpha_{\eta}^{3} = CM^{\frac{1}{2}} \qquad \dots \qquad 1$$

Kurata, Stockmayer and Roig's (1960),

$$\begin{pmatrix} \alpha_{\eta}^{3} - \alpha_{\eta} \end{pmatrix} \quad \begin{pmatrix} l + \frac{1}{3\alpha_{\eta}^{2}} \end{pmatrix}^{\frac{3}{2}} \simeq C'M^{\frac{1}{2}} \qquad \dots \quad (2)$$

and Ptitsyn' (1962)

$$[(4.68 \alpha_{1}^{2} - 3.68)^{3/2} - 1] = C'M^{\frac{1}{2}} \qquad \dots \qquad (3)$$

Palit's (1955) equation which correlates intrinsic viscosity and molecular weight of polymers reads as follows

$$100\rho_{0}[\eta] = K_{1}M^{\dagger} - \ln M + K_{2} \qquad \dots (4)$$

where  $K_1 = 1.09$  N i  $\gamma v_{zp} ^{2/3} / RT \simeq$  order of  $10^{-2}$  and  $K_2$  are constants. The validity of equations (1), (2) (3) and (4) is tested in this aper in terms of  $\alpha_n$  values obtained from new unpublished data and nom available literature values calculated for solutions of several fractions f a number of polymers in different solvent-nonsolvent mixtures at afferent temperatures. The validity of these equations in case of single Dilip K. Sarkar and Santi R. Palit

solvents has been tested in earlier communications (Sarkar & Palit 1967; Chaudhury, Sarkar & Palit 1968) where the method of computation of K and  $\alpha_{\tau}$  (Stockmayer-Fixman) has been discussed.

2. Experimental Results and Discussion

### 1. Poly m-methyl styrene

Our method of treatment of the experimental data is illustrated in table I in some details. Our  $\overline{M}_n$  and  $[\eta]$  values at various temperatures are utilised to calculate K and  $\alpha_\eta$  values. The  $\overline{M}_n$  values are taken from a previous communication (Chaudhury, Sarkar & Palit 1968)

The values of  $\alpha_\eta$  are found to increase with increase of molecular weight, indicating increased expansion of the molecule.

## Graphical Test of the Four Equations

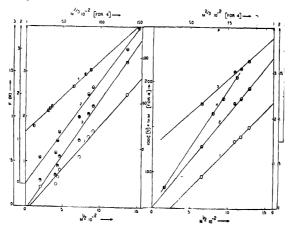


 Figure 1. Poly m-methyl styrene in ethyl acetatemethanol mixture (9:1 V/V) at 30°C.
 Figure 2. Poly m-methyl styrene in bezenemethanol mixture (9:1 V/V) at 30°C.

Analysis of Flory Relation : According to equation (1) plots of  $\alpha_1^{\delta} - \alpha_1^{\delta}$  against  $M^{\dagger}$  are expected to give a straight line passing through the origin. In mixture I the Flory plot shows a fairly good linear monotonic increase but it does not pass through the origin (figure 1 marked 1); abscissa intercept being at M24100. In mixture II (figure 2), good linearity is obtained but again an abscissa intercept at M26,800

is observed. In mixture III (figure 3), at 30°C linearity is poor and abscissa intercept is at  $M\simeq 16,3000$ . At 40°C (figure 4), the linearity is again poor and abscissa intercept is at  $M\simeq 7,100$ . At 50°C (figure 5), the linearity is very good with an abscissa intercept of  $M\simeq 6600$ . So Flory theory is adequate with respect to linearity of the Flory plot but the latter does not conform to the theoretical necessity of passing through the origin.

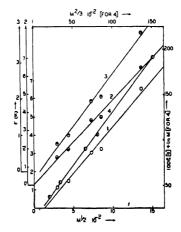


Figure 3. Poly m-methyl styrene in benzene-methanol mixture (3:1 V/V) at 30°C.

Analysis of Kurata et al relation : According to equation (2) plots of  $(\alpha_n^2 - \alpha_n) (1+1/3 \ \alpha_n^2)^{3/2}$  versus M<sup>4</sup> should be linear passing through the origin. In mixture I, such a plot is slightly scattered about a straight line passing through the origin (figure-1, marked 2). In mixture II, fairly good linearity is obtained and it passes through the origin. In mixture III at 30°C, the plot is good linear and passes through the origin. At 40°C, the linearity is fairly good and it passes through the origin. At 50°C, the linearity is good and it passes through the origin. This suggests that the data fit in excellently with the Kurata-Stockmayer-Roig (K-S-R) equation.

. Analysis of Ptilsyn Relation: According to equation (3) plots of  $[(4.68\alpha_1^3 - 3.68)^{a/2} - 1]$  against  $M^{\frac{1}{2}}$  are expected to give a straight line passing through the origin. In mixture 1, such a plot is found to be scattered and does not pass through the origin but gives an abscissa inter-

. .

Table 1. Experimental Values of Intrinsic Viscosities [ $\eta$ ] in Various Solvents at Different Temperatures

	Mixture I CH <sub>2</sub> COOC <sub>2</sub> H <sub>5</sub> (90): CH <sub>2</sub> OH(10)		Mixture II C <sub>8</sub> H <sub>8</sub> (90) : CH <sub>2</sub> OH (10)				Mixture III C <sub>s</sub> H <sub>s</sub> (75) : CH <sub>s</sub> OH (25)			
$\overline{M}_n \times 10^{-5}$	$K.10^4 = 6.73$ 30°C		K.10 <sup>4</sup> = 9.59 30°C		K.10 <sup>4</sup> = 7.87 30°C		K.10 <sup>4</sup> = 7.11 40°C		K.10 <sup>4</sup> = 8.37 50°C	
	[η]	<b>α</b> η	[ŋ]	a.,	[ŋ]	an	[1/]	an	[η]	αη
18.5200	1.195	1.092	-	_	1.769	1.182	_	-	-	_
8.2480	.742	1.067	—	-	-	-	-	_	-	-
7.2350	.688	1.063	1.920	1,329	-920	1.112	-	-	_	-
6.1090	_	—	1.680	1.308	-	_	-	_	1.004	1.153
5.2550	.560	1.047	1.520	1.298	•773	1.107	0.810	1.163	0.900	1.141
2.6605	_	-	-	-	-	-	0.535	1.134	0.585	1.107
2.1430	.347	1.036	-	-	—	—	-	-	-	_
1.9050	-321	1.030	.707	1.191	0.410	1.060	0.416	1.103	-	-
1.6790	.295	1.023	-	-	-	_	-	-	_	-
0.8356	_	-	-	-	0.262	• 1.048	0.252	1.070	0.289	1.061
0.3964	.142	1.020	-	-	-		-	-	-	_
	18.5200 8.2480 7.2350 6.1090 5.2550 2.6605 2.1430 1.9050 1.6790 0.8356	$ \begin{array}{c} \mbox{CH}_{8} CH$	$ \begin{array}{c} \text{CH}_{\text{COOCH}_{4}(90):} \\ & \begin{array}{c} \text{CH}_{8}\text{COOCH}_{4}(90): \\ & \begin{array}{c} \text{CH}_{8}\text{OH}(10) \\ & \begin{array}{c} \text{K}_{10}4 = 6.73 \\ & \begin{array}{c} 30^{\circ}\text{C} \\ & \begin{array}{c} \hline \end{array} \end{array} \end{array} \end{array} \\ \hline \begin{array}{c} \text{I} 18.5200 \\ \text{I} 1.195 \\ \text{I} .092 \\ \text{I} .2350 \\ \text{I} .688 \\ \text{I} .063 \\ \hline \begin{array}{c} 6.1090 \\  \end{array} \end{array} \\ \hline \begin{array}{c} \\ \hline \end{array} \\ \hline \begin{array}{c} 5.2550 \\ \text{I} .6605 \\  \end{array} \\ \hline \begin{array}{c} \\ 2.1430 \\ \text{I} .9050 \\ \text{I} .321 \\ \text{I} .030 \\ \hline \begin{array}{c} 1.023 \\ \text{I} .030 \\ \hline \end{array} \\ \hline \begin{array}{c} 1.6790 \\ \text{I} .295 \\ \text{I} .023 \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{COOCH}_{4}(90): \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \end{array} \\ \hline \end{array} $ \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \end{array} \\ \hline \end{array} \\ \hline \begin{array}{c} \text{CH}_{2}\text{CH}_{2}\text{CH}_{2}(90): \\ \hline \end{array} \\ \hline \end{array} \\ \hline \end{array}  \\ \hline \begin{array}{c} \text{CH}_{2}CH	$\begin{array}{c c} CH_{1}COO_{1}H_{5}(90):\\ CH_{3}OH_{1}(0)\\ CH_{3}OH_{1}(0)\\ K,10^{4}=6.73\\ 30^{\circ}C\\ [\eta] & \alpha_{\eta} & [\eta] \\ \hline \end{array}$ 18.5200 1.195 1.092 - 8.2480 .742 1.067 - 7.2350 .668 1.063 1.920 6.1090 1.6680 5.2550 .560 1.047 1.520 2.6605 2.1430 .347 1.036 - 1.9050 .321 1.030 .707 1.6790 .295 1.023 - 0.8356	$ \vec{M}_n \times 10^{-4}  \begin{array}{cccc} CH_{*}COOC_{*}H_{5}(90): & C_{*}H_{*}(90): \\ CH_{3}OH(10) \\ K.10^{4} = 6.73 \\ 30^{\circ}C \\ \hline [7] & \alpha_{\eta} \\ \hline [7] & $	$ \begin{split} & \begin{array}{ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	$M_n \times 10^{-4}$ $C_{4}H_{6}(90)$ : $C_{4}H_{6}(90)$ : $C_{4}H_{6}(90)$ : $C_{4}H_{6}(90)$ : $C_{4}H_{6}(90)$ : $C_{4}H_{6}(90)$ : $C_{4}H_{6}(75)$ : $C_{4}H_{$	$\vec{M}_{n} \times 10^{-4} \xrightarrow{\text{CH}_{1} \text{COOC}_{1} \text{H}_{2} (90):} \underbrace{\text{C}_{4} \text{H}_{1} (90): \text{CH}_{4} \text{OH} (10)}_{\text{CH}_{2} \text{OH} (10)} \underbrace{\text{C}_{4} \text{H}_{1} (75): \text{CH}_{4} \text{OH} (25)}_{\text{CH}_{2} \text{OH} (10)} \underbrace{\text{C}_{4} \text{H}_{1} (75): \text{CH}_{4} \text{OH} (25)}_{\text{C} \text{H}_{2} \text{OH} (27)}_{\text{H}_{2} \text{OH} (27)} \underbrace{\text{K}.10^{4} = 6.73}_{30^{\circ} \text{C}} \underbrace{\text{K}.10^{4} = 9.59}_{30^{\circ} \text{C}} \underbrace{\text{K}.10^{4} = 7.87}_{30^{\circ} \text{C}} \underbrace{\text{K}.10^{4} = 7.11}_{40^{\circ} \text{C}} \underbrace{\text{K}.10^{4}}_{50^{\circ} \text{C}} \underbrace{\text{K}.10^{4}}_{10} = 7.11}_{10^{\circ} \text{H}_{2} \text{OH} (10)} \underbrace{\text{K}.10^{4}}_{10^{\circ} \text{C}} \underbrace{\text{K}.1$

cept, as obtained by the least square method, corresponding to  $M\simeq1300$ (figure 1, marked 3). In benzene containin 10% methanol, good linearity is obtained but it gives an abscissa intercept corresponding to  $M\simeq5700$ . In benzene containing 25% methanol at 30°C, the plot is poorly linear and gives an abscissa intercept corresponding to  $M\simeq5000$ . At 40°C, the linearity is poor and the abscissa intercept corresponds to  $M\simeq2000$ . At 50°C, the linearity is good but it gives an abscissa intercept corresponding to  $M\simeq2000$ . This indicates that like Flory equation, Ptitsyn equation has got limited applicability in this case but in a sense it is better as its range of applicability is greater.

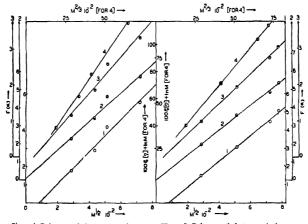


Figure 4. Poly m-methyl styrene in benzenemethanol mixture (3:1 V/V) at 40°C. Figure 5. Poly m-methyl styrene in benzenemethanol mixture (3:1 V/V) at 50°C.

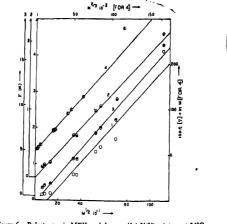
Analysis of Palit Relation : According to equation (4) plots of  $100_{\rho_0}[\eta]$ + lnM against  $M^4$  are expected to give a straight line with a slope of the order of  $10^{-9}$ . Very good linearity is obtained in all the cases with slopes of  $0.79 \times 10^{-9}$  (figure 1, marked 4),  $2.57 \times 10^{-2}$  (figure 2),  $1.18 \times 10^{-9}$  at at  $30^\circ$  (figure 3),  $1.28 \times 10^{-9}$  at  $40^\circ$  (figure 4) and  $1.38 \times 10^{-2}$  at  $50^\circ$ C (figure 5) respectively.

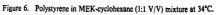
#### 2. Polystyrene

The  $\overline{M}_n$  and  $[\eta]$  data of Rossi *et al* (1965) in M.E.K-cyclohexane (1:1 in volume) mixture at 34°C are utilised. The Flory plot is highly scattered and gives a least square intercept corresponding to M $\simeq$ 11200 (figure 6). The K-S-R plot is fairly good linear and it passes through the origin. The Ptitsyn plot is fairly good linear but gives an abscissa intercept at M $\simeq$ 2100.

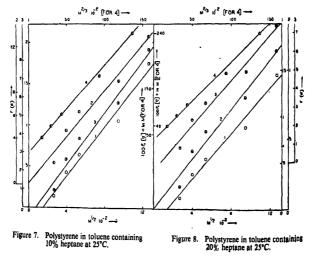
Dilip K. Sarkar and Santi R. Palit

Very good linear plot according to Palit equation is obtained with a slope of  $1.93 \times 10^{-9}.$ 





The  $\overline{M}_n$  and  $[\eta]$  data of Bawn *et el* (1950) in toluene-heptane mixtures and in toluene-methyl alcohol mixtures at 25°C are utilised.



In 10% heptane (figure 7), all the first three plots are scattered but while the K-S-R plot passes through the origin, the Flory and Ptitsyn plots give abscissa intercepts corresponding to  $M \simeq 21600$  and 5100. Very good linear Palit plot is obtained with a slope of  $1.91 \times 10^{-2}$ . In 20% heptane (Fig. 8) exactly similar results are obtained — the abscissa intercepts in case of Flory and Ptitsyn plots are at  $M \simeq 19400$  and 4900 respectivly and the value of  $K_1$  in the case of Palit equation is  $1.67 \times 10^{-2}$ .

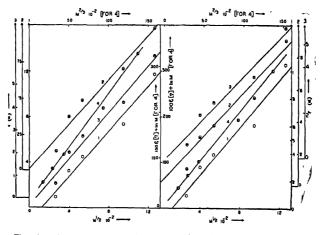
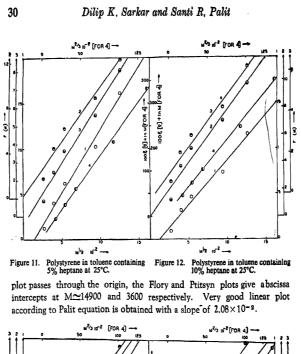
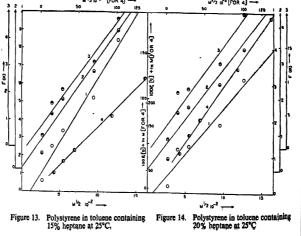


 
 Figure 9.
 Polystyrene in toluene containing 30% heptane at 25°C.
 Figure 10.
 Polystyrene in toluene containing 40% heptane at 25°C.

In 30% heptane (figure 9), the observation is the same — the Flory and Ptitsyn equations are valid above  $M\simeq 16400$  and 4500 and the value of slope in case of Palit equation is  $2.38 \times 10^{-2}$ . In 40% heptane (figure 10), the Flory plot is scattered and gives an abscissa intercept at  $M\simeq 14800$ . Very poor linearity is observed in case of K-S-R equation but it passess through the origin. The Ptitsyn plot is scattered and gives an abscissa intercept at  $M\simeq 4100$ . Very good linearity is obtained in case of Palit plot with a slope of  $2.16 \times 10^{-2}$ .

In 5% methanol (figure 11), poor linearity is observed in case of Flory and Ptitsyn equations with abscissa intercepts at  $M\simeq 19700$  and 4600 respectively. The K-S-R plot, though scattered, passes through the origin. Very good linear Palit plot is obtained with a slope of  $2.35 \times 10^{-2}$ . In 10% methanol (figure 12), all the three plots are scattered but while the K-S-R





In 15% methanol (figure 13), more or less similar results are obtained the Flory and K-S-R Plots are valid above  $M \simeq 13100$  and 4100 respectively. Good linear plot according to Palit equation is obtained with a slope of  $1.71 \times 10^{-2}$ . In 20% methanol (figure 14), the Flory and Ptitsyn plots are scattered and give abscissa intercepts at  $M \simeq 4600$  and 1700 respectively. The K-S-R plot, though highly scattered, passes through the origin. Very good linearity is obtained in case of Palit equation and it has a slope of  $1.23 \times 10^{-2}$ .

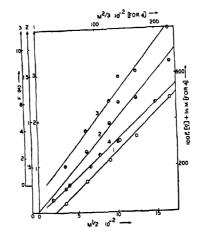


Figure 15. Polystyrene in chloroform containing 10% methanol at 25°C.

The  $\overline{M}_{ir}$  and  $[\eta]$  data of Oth & Desreux (1954) are utilised. In chloroform containing 10% methanol (figure 15), good linearity is obtained in case of Flory equation, but it gives an abscissa intercept at  $M \simeq 44000$ . Very poor linearity is obtained in case of K-S-R equation but it passes through the origin. Ptitsyn plot is poorly linear and it gives an abscissa intercept at  $M \simeq 9000$ . Very good linear plot according to Palit equation is obtained with a stope of 2.40 × 10<sup>-2</sup>.

In 20% methanol (figure 16), good linearity is obtained both in case of Flory equation and Ptitsyn equation, but they give abscissa intercepts at  $M\simeq 30400$  and 7400 respectively. The K-S-R plot, although poor, passes through the origin. Very good linearity is obtained in case of Palit plot with a slope of  $1.47\times 10^{-2}$ .

Dilip K. Sarkar and Santi R. Palit

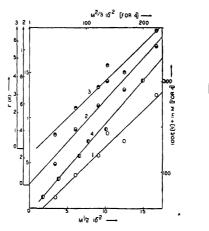


Figure 16. Polystyrcne in chloroform containing 20% methanol at 25°C.

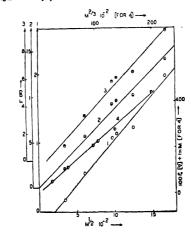


Figure 17. Polystyrene in toluene containing 10% methanol at 25°C.

In toluene-methanol mixture containing 10% methanol (figure 17), both the Flory and Ptitsyn plots are very poor and give abscissa intercepts at  $M \simeq 38,00$  and 7900 respectively. The K-S-R plot, although scattered,

passes through the origin. Very good linear plot according to Palit equation is obtained with a slope of  $2.17 \times 10^{-2}$ .

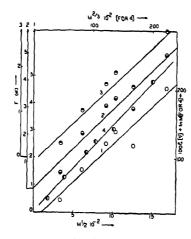


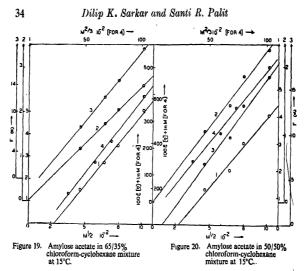
Figure 18. Polystyrene in MEK containing 5% methanol at 25°C.

In MEK-methanol mixture containing 5 % methanol (figure 18), all the first three plots are highly scattered and while the K-S-R plot passes through the origin, the Flory and Ptitsyn plots give abscissa intercepts at  $M\simeq11600$  and 3400 respectively. Good linear plot according to Palit equation is obtained with a slope of  $0.95 \times 10^{-2}$ .

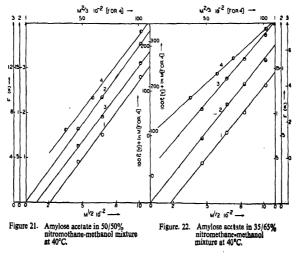
#### 3. AMYLOSE ACETATE

The  $\overline{M}_w$  and  $[\eta]$  data of Patel et al (1965) are utilised. In case of 65/35% choroform-cyclohexane mixture at 15°C (figure 19), good linear Flory plot is obtained with an abscissa intercept at M $\simeq$ 53700. Very good linearity is obtained in case of K-S-R plot and it passes through the origin. Ptitsyn plot is very good linear with abscissa intercept at M $\simeq$ 7800. Plot according to Palit equation is good linear with a slope of  $6.54 \times 10^{-2}$ .

In 50/50% chloroform-cyclohexane mixture at 15 C (figure 20), the Flory plot is scattered and gives an abscissa intercept at  $M \simeq 51700$ . Fairly good



linearity is obtained in case of K-S-R equation and it passes through the origin. Pittsyn plot is fairly good linear with an abscissa intercept at M-8300. Good linear plot according to Palit equation is obtained with a slope of  $5.24 \times 10^{-2}$ .



In 50/50% nitromethane-methanol mixture at 40°C (figure 21), fairly good linear Flory plot is obtained with an abscissa intercept at M $\simeq$ 45200. Very good linearity is obtained in case of K-S-R equation and it passes through the origin. Ptitsyn plot is good linear with an abscissa intercept at M $\simeq$ 8400. Good linear plot according to Palit equation is obtained with a slope of  $3.31 \times 10^{-2}$ .

In 35/65% nitromethane-methanol mixture at 40°C (figure 22), Flory plot is good linear but it has an abscissa intercept at M $\simeq$ 30100. K-S-R plot is fairly good linear and it passes through the origin. Good linear plot is obtained in case of Ptitsyn equation but it has an abscissa intercept corresponding to M $\simeq$ 7100. Very good linear plot according to Palit equation is obtained with a slope of  $2.32 \times 10^{-2}$ .

#### DISCUSSION

In the 22 different polymer-solvent-nonsolvent systems studied, it is observed (table 2) that as regards linearity of the F ( $\alpha_{\eta}$ ) vs. M<sup>1</sup> plot, Flory plot is found to be best in 12 cases while K-S-R equation is best in 6 cases and Pittsyn equation is best in 4 cases only. It is evident that from the stand-point of linearity Flory equation is the best. However, as redards the criteria of passing through the origin, the K-S-R equation is satisfactory in almost all cases while the Flory and the Pittsyn equations are not satisfactory even in a single case ; they always give abscissa intercepts, Pittsyn shows a lower intercept than Flory. Palit plot is very good linear in 20 cases and good in the remaining 2 cases ; the theoretical slope of the order of  $10^{-2}$  is obtained in all cases.

It is therefore concluded that considering the two criteria together viz., the linearity and the passing through origin, the K-S-R plot is somewhat better than the Ptitsyn or Flory plot. Hence the K-S-R equation, based on an equivalent ellipsoid model, it best suited to interpret the molecular expansion of the polymers discussed. Palit's equation excellently correlates intrinsic viscosity and molecular weight of polymers.

Thanks are due to C. S. I. R. (India) for the award of a Junior Research Fellowship to D. K. S.

TABLE 2. TABULAR SUMMARY OF RESULTS

Polymer	Solvent-Nonsolvent (Volume ratio)	Temp °C		Linearity and A in term	General Remarks				
	(volume ratio)		Flory plot	K-S-R plot	Ptitsyn plot	Palit plot	Best linear	Eq. that	
			Eq. 1	Eq. 2	Eq. 3	Eq. 4, K <sub>1</sub> .10 <sup>2</sup>	Eq.	passes through the origin among 1, 2 & 3	
Poly m-me thyl styrene	Ethyl Acetate-Methanol (9:1)	30	fairly good 4050	very poor 0	scattered 1340	very good .79	4,1	2	
	Benzene-Methanol (9:1)	30	good 26,800	good 0	good 5690	very good 2.57	4,1	2	
	(3:1)	30	poor 16,300	good Ø	<b>poor</b> 5,000	very good 1.18	4,2	2	
		40	7100	fairly good 0	роог 203	very good 1.28	4,2	2	
		50	very good 6600	good 0	good 2000	very good 1.38	4,1	2	
olystyrene	MEK-Cyclohexane (1:1)		highly scattered	fairly good	fairly good	very good			
	(1:1)	34	11200	0	2100	1.93	4,2	2	
	Toluene-Heptane (9:1)	25	scattered ,21600	scattered 0	scattered 5070	very good 1.91	4,1	2	
	(8:2)	25	scattered 19400	scattered 0	scattered 4920	very good 1.67	4,1	2	
	(7:3)	25	scattered 16400	scattered 0	scattered 4510	very good 2.38	4,1	2	
	(6 : 4)	25	scattered 14800	very poor 0	scattered 408	very good 2.16	4,1	2	

Polymer	Solvent-Nonsolvent (Volume ratio)	Temp ℃		Linearity and A in terr	General Remarks			
			Flory plot	K-S-R plot	Ptitsyn plot	Palit plot	Best linear	Eq. that passes through
			Eq. 1	Eq. 2	Eg. 3	Eq 4, K <sub>1</sub> .10 <sup>2</sup>	Eq.	the origin among 1, 2 &
Polystyrene	Toluene-Methanol (9.5 : 0.5)	25	poor 19700	scattered 0	poor 4580	very good 2.35	4,1	2
	(9:1)	25	scattered 14900	scattered 0	scattered 3630	very good 2 08	4,1	2
	(8 5 : 1.5)	25	scattered 13100	scattered 0	scattered 4070	good 1.71	4,3	2
	(8:2)	25	scattered	highly scattered	scattered	very good		
			4650	0	1720	1.23	4, None	2
	Chloroform-Methanol (9:1)	25	good 44000	very poor 0	poor 8960	ve <del>ry</del> good 2.40	4,1	2
	(8 : 2)	25	good 30400	poor 0	good 7380	very good 1.47	4,1	2
	Toluene-Methanol (9:1)	25	very poor 38700	scattered 0	very poor 7940	very good 2.17	4.1	2
	MEK-Methanol	25	highly scattered	highl <del>y</del> scattered	highly scattered	good		
	(9 5 ; 0.5)		11600	0	3430	0.95	4,2	2
Amylose Acetate	Chloroform- Cyclohexane		good	very good	very good	good		
Acetate	(6 5 : 3 5)	15	53700	0	7770	6.54	2 & 3	2
	(1 : 1)	15	scattered 51700	fairly good 0	fairl <del>y</del> good 8330	good 5.24	4,3	2

-

Polymer	Solvent-Nonsolvent (Volume ratio)	Temp °C		Linearity and A in terr	General Remarks			
			Flo <del>ry</del> plot	K-S-R plot	Ptitsyn plot	Palit plot	Best linear	Eq. that
			Eq. 1	Eq. 2	Eq. 3	Eq. 4, K <sub>1</sub> .10 <sup>2</sup>	Eq.	passes through the origin among 1, 2 &
Amylose Acetate	Nitromethane : Methanol (1 : 1)	40	fairly good 45200	<del>very</del> good 0	good 8420	good 3,31	2	2
	(3.5 : 6.5)	40	good 30100	fairly good 0	good 7050	very good 2,32	4,1	2

•

Dilip K. Sarkar and Santi R. Palit

\_\_\_\_\_

## Test of viscosity theories for dilute solutions polymer 39

#### References

Bawn C. E. M., Grimley T. B. & Wajid M. A. 1950 Trans Faraday Soc. 45, 1112.
Chaudhury A. K., Sarkar D. K. & Palit S. R. 1968 Macromol Chem. 111, 36.
Flory P. J. 1949, J. Ohem, Phys. 17, 303.
Fox T. G. & Flory P. J. 1951, J. Am. Chem. Soc. 73, 1904.
Kurata M., Stockmayer W. H. & Roig A. 1960, J. Chem Phys. 33, 151.
Oth J. & Desreux (Liege) V. 1954 Bull Soc. Chim Belg. 63, 285.
Palit S. R. 1955 Indian J. Phys. 29, 65
Patel R. S. & Patel R. D. 1965, J. Polym. Soi., 3, 2123.
Pitisyn O. B. 1962 Polymer Sci U. S. S. R. 3, 1061.
Rossi C., Bianchi E. & Pedemonte E 1965 Macromol Chem. 89, 95
Sarkar D. K. & Palit S. R. 1967, Indian J. Phys. 41, 389.
Schaefgen J. R. & Flory P. J. 1948 J. Am. Chem. Soc. 70, 2709.