

COMMISSION OF THE EUROPEAN COMMUNITIES

COLLECTRONS, SELF-POWERED NEUTRON FLUX DETECTORS

Part I: Theoretical considerations

by

M. GRIN

1972

Joint Nuclear Research Centre Ispra Establishment - Italy

Materials Division

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Commission of the European Communities Joint Nuclear Research Centre - Ispra Establishment (Italy) Materials Division Luxembourg, March 1972 - 38 Pages - 6 Figures - B.Fr. 60.—

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After a short description of components and measuring circuits, this report deals mainly with the theoretical sensitivity of the collections. An evaluation of self-shielding and flux depression factor and of self-absorption factor leads to the formulation of the theoretical sensitivity of the collections in normal working 'conditions. The cases of rhodium, silver and vanadium have been considered.

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PART I

COMMISSION OF THE EUROPEAN COMMUNITIES

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COLLECTRONS, SELF-POWERED NEUTRON FLUX DETECTORS

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Part I: Theoretical considerations

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ABSTRACT

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Collections are self-powered neutron flux detectors based on the direct collection of electric charges emitted from a short lived *β* emitter activated by neutron flux.

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self-shielding and flux depression factor and of self-absorptio considered.

The second part of this report which will follow will essentially consider in-pile behaviour of collections with a chapter specially devoted to a confrontation between theoretical sensitivity and experimental calibration.

KEYWORDS

CONTENTS

 \mathcal{A}_c

 $\hat{\mathcal{A}}$

 $\label{eq:2.1} \frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\left(\frac{1}{\sqrt{2\pi}}\right)^{2\sqrt{2}}\frac{1}{\sqrt{2\pi}}\int_{0}^{\infty}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\frac{1}{\sqrt{2\pi}}\$

 $\mathcal{L}^{\text{max}}_{\text{max}}$

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1. INTRODUCTION *)

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Neutron flux measurements during irradiation tests are normally performed by activation methods using wires or foils of suitable materials like Co, Ag, Ni, Au, Ih, Cu ... The amount of radioactivity induced during a controlled exposure is a measure of the neutron flux intensity : after exposure the activities measured are those of the emitted $\boldsymbol{\beta}$ or *Y* rays. The method is simple, rather accurate but gives only a mean value of the neutron flux during the whole exposure.

A direct measurement of the neutron flux is possible with fission chambers but they require a complex electronic associated equipment and are generally of notable dimensions : however a dealer proposes a sub-miniature fission chamber of 1 mm O.d. and 10 mm long $/717$.

After the theoretical and experimental works of MITELHAN $\sqrt{2}$ 7, CESARELLI $\sqrt{3}$ 7 and HILBORN $\sqrt{4}$ 7, a new type of instantaneous flux detector was developped, the "collectron" or continuous neutron flux detector which is self powered, gives a signal directly proportional to the neutron flux and can be easily miniaturized.

*) Manuscript received on January 5, 1972

2. DESCRIPTION AND WORKING PRINCIPLE OF THE COLLECTRON

2.1. Principle *¿~2,* 3, 4, 5, *S J*

The detector consists of two coaxial electrodes : the inner electrode which is a β emitter is isolated from the outer electrode or collector (Pig.1). When a neutron flux impinges on the device, the inner electrode is activated and the emitted β particles are collected by the outer electrode : it is sufficient to close the circuit on a suitable measuring device to measure an electric current which, at saturation, is directly proportional to the neutron flux.

2.2. Realization and component materials

Geometrically, the detector is composed of a β emitter wire, a solid dielectric material (usually high purity $A1_{0}$ ^O₂) and a sheath. The detector is then joined to a coaxial connecting cable (Pig. 1 and 2). The measured current is the resultant of β emission from the emitter and from some impurities always present in the sheath and in the connecting wires.

2.2.1. The_emitter

The emitter must present a high cross-section to give a good sensitivity but not too much in order to limit the loss of sensitivity due to burn out. The radioactive half life for decay in the material should be of the order of 4 to 5 minutes for normal in-reactor applications. If other neutron absorbing isotopes are present in addition to the principal β emitter they must not produce long-lived β emitter that could cause slow variation of the measured current.

Fig. 1 . PRINCIPLE OF A COLLECTRON

Fig.2 MEASURING CIRCUITS

- **a- normal wiring**
- **b- background compensation circuit**

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Westcott (AECL) counsels the normalized value of 150.19 $\ddot{\mathbf{r}}$

****** negligible, 1 % of signal after 1 year in a flux of 10^{13} n.cm⁻² s⁻¹

XXX S 4

TABLE I - Neutronic characteristics of β emitters employed for the realization of collectrons \mathbf{I} ∞ The maximum energy of β spectrum must be high to allow the β to escape from the insulant and from the emitter wire itself.

All these conditions limit normally the choice of emitter to Rhodium, Vanadium or Silver whose main characteristics are summarized in Table 1.

2.2.2. The sheath or collector

Normally choosen with regard to applicability (weldability, compatibility in normal working conditions) the collector is usually (as the sheath of the connecting cable) a tube of stainless steel or inconel with a thickness sufficient to stop β particles emitted from the central wire.

2.2.3. Connecting cable

It is a miniature sheathed cable of the type normally employed for temperature measurements : the sheath is in stainless steel or inconel, the wires (or the wire) are in Ni, the insulant is usually MgO. This connecting cable can be the origin of spurious currents and (or) electric leakage. Theoretically a compensating wiring (see \S 2.3.) can eliminate spurious currents from the coonecting cable.

2.3. Measuring circuit

It is possible to measure either directly the current, or, more simply, the tension at the terminals of a load resistance according to Fig. 2 a. It is obvious that the cable leakage resistance R_7 must be large compared to the load resistance R_T .

Or, if R_1 is very high under the laboratory conditions at the moment of the fabrication of the detector $(R^1 \geq 10^4$ M Ω) it falls drastically in normal working conditions (influence of temperature and irradiation on the insulant, see \S 3.6). The connecting cable, which is always partially submitted to neutron flux can be the origin of spurious currents : in fact either the sheath or the connecting wires contain traces of *β* emitters and it is possible to obtain a secondary current coming from the connecting cable in addition to the main signal of the detector. Theoretically, a compensating wiring, as indicated in Fig. 2 b allows to eliminate this parasitic effect.

3. THEORETICAL SENSITIVITY OF THE COLLECTRONS

In the simplest case, when activation is due to a single emitter nuclide, the output current, as a function of time after exposure to the neutron flux, is given by :

$$
I_T = K.N. \n\emptyset. \neq \hat{C} / 1 - \exp(0,693 \text{ t/T}_{1/2}) / (1)
$$
\n
$$
N = \text{number of atoms with } T_{1/2}
$$

 \emptyset = Westcott flux \emptyset = nv_o

 $G =$ Westcott activation cross-section

 $\hat{\mathsf{G}} = \mathsf{G}(\mathsf{g} + \mathsf{r}\mathsf{s})$

e = electronic charge 1.602 10^{-19} coulomb

 $T_{1/2}$ = half-life of the emitter

 $K =$ constant depending on geometry, beta self-absorption and neutron flux depression in the detector.

The response time T_R , which is the time requested to obtain 63 *fo* of the saturation signal corresponding to an instantaneous neutron flux variation, is defined as :

$$
T_R = 1.44 T_{1/2}
$$

The equilibrium output, or saturation signal, reached after some $\mathbb{T}_{1/2}$ is thus

$$
I_{S} = K.N.\emptyset.e.\hat{\sigma}
$$
 (2)

All neutron detectors gradually lose sensitivity, due to burn out of the neutron sensing β emitter. If N is the number of stable isotopes at instant O (beginning of irradiation), after the time t, it remains :

$$
N = N_0 \exp(-\hat{\sigma} \cdot \emptyset \cdot t)
$$

and the equilibrium output becomes :

$$
I_{s} = K_{i} \cdot N_{0} \cdot \emptyset \cdot e \cdot \hat{\sigma} \cdot exp (-\hat{\sigma} \cdot \emptyset \cdot t)
$$

3.1. Evaluation of the correcting factor K

In first approximation K may be considered as the product of two factors :

$$
K = K_1 \cdot K_2
$$

where :

 K_1 = neutron self-shielding and flux depression factor K_p = self-absorption factor of β particles in the emitter (and in the insulant)

 K_1 and K_2 must evidently take into account the geometrical configuration of the device.

3.1.1. Self-shielding and flux depression factor K₁

Generally speaking, the presence of an absorber of macroscopic size in a neutron flux modifies the flux : it cannot be assumed that the flux in the absorber position is the same as that which would exist in that position if the absorber were absent. In general, the absorber will depress the flux in its vicinity.

KUSHNERIUK $\sqrt{9}$ 7 has shown that the ratio of mean flux to surface flux in an infinite long cylindrical absorber surrounded by an infinite predominantly scattering medium sustaining a thermal neutron flux, is adequately represented by the following formula :

$$
\frac{\cancel{0}}{\cancel{0}} = \frac{1}{a \cdot \Sigma a} \cdot \frac{\cancel{0}}{2 - \cancel{0}}
$$

where

radius of the cylinder \bf{a} \equiv

 Σ ₂ = macroscopic absorption cross section

 β = Probability that a neutron falling in the surface of the rod will be absorbed within it.

If $\Sigma_{\rm g}$ is the macroscopic scattering cross-section and $\Sigma_{\rm t}$ the macroscopic total cross-section, β can be represented by the following expression valid for a Σ_{+} < 2.5

$$
\beta = \frac{a \cdot \sum_{a} P_1 (a \cdot \sum_{a} + a \cdot \sum_{s})}{a \cdot \sum_{a} a \cdot \sum_{s} P_{ES}(a \sum_{a} + a \sum_{s})}
$$

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where

 P_1 (a \sum_{\pm}) = probability that a neutron, thrown into the absorber from a constant and isotropic source density in an infinite medium surrounding the absorber, undergoes collision within the cylindrical absorber.

 $P_{\rm RS}$ (a Σ_{+}) = collison escape probability for an isotropic source distribution within the cylindrical absorber.

In these conditions :

$$
K_1 = \frac{\overline{\beta}}{\overline{\beta}_0} = \frac{P_1(a.\Sigma_f)}{a\Sigma_a \cdot \langle 2-P_1(a\Sigma_f)/2a.\Sigma_g \cdot P_{ES}(a\Sigma_f)} \quad (3)
$$

 $a.\Sigma_+ = a.\Sigma_+ + a.\Sigma_s$

 P_1 and P_{RS} are given for varying (a Σ _t) in Fig. 3.

Moreover Mc GILL and al. $\sqrt{10}$ have made experimental measurements whose results are in good agreement with the KUSHNERIUK's computation.

For values of $a\sum_{n=1}^{\infty}$ up to \sim 0.8 they propose the empirical correlation : $I_{\text{A}}(Ka)$

$$
K_1 = \frac{2}{K_a a} \cdot \frac{-1}{I_o(Ka)} \tag{4}
$$

with $K = C \left(\frac{\sum_{a} 1}{a}\right)^{1/2}$

 $C = 0.183 \pm 0.13$

 I_0 and I_1 are Bessel's functions.

The experimental and calculated values are in good property agreement with the computation made according to the Kushneriuk's formula. The $%$ error between the two methods (5 to 10 %) is of the same order of magnitude as the experimental measurements. 2013年10月 **SAMPLE STATE**

Values of K_4 obtained by the two methods are compiled in-Table 2. 1000年1000

TABLE 2 : Flux depression factor K₁

The complete proposed the **■** from ANL 2nd edition

** non calculated because of the magnitude of errors due to P_1 and P_{ES} for values of $a\tilde{\mathcal{Z}}_n$ close to zero.

Values of K_1 have been calculated for neutrons at 2,200 m/s; they must be corrected for the Westcott flux and the neutron temperature.

Preceding methods do not allow to take into account the effects due to sheath and insulant. In fact some elaborated nuclear codes exist which are able to take into account all the constitutive elements of a collectron. The use of a WDSN code $/$ 11 $/$ leads to the results of Table 3. The computation was made, considering on one hand, the shielding effect due to the single emitter and, on the other hand, the global effect due to the whole detector according to the geometrical conditions of Fig.4, in which are also indicated the nuclear data adopted. $\chi^2_{\rm{tot}}$

TABLE 3 - Computation of K_1 according to a nuclear code.

With respect to the preceding results the only sensible difference regards the rhodium, The additional effect of sheath and insulant is in the range of 10% .

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3.1.2. Self-absorgtion_faetor_K²

To each monoenergetic \bigcap particle is associated a maximum range λ (which is normally expressed in the form of λ . ρ in mg/cm^2 of aluminium).

The probability for a G particle emitted from a point of a cyclindrical source of radius a to escape from the cylinder is a function of a'and X . För example, a *β* particle formed in the center of a rod, with a range less than the radius of the rod, would not escape.

The same β particle might escape if it were formed near the edge of the rod, depending on the direction of travel. If a sphere, with a radius equal to the range λ of the considered particle is placed with its center coincident with the origin of the β particle, the escape probability is the ratio of the area of the sphere that is outside of the rod divided by the total area of the sphere. It is possible to make a complete computation from this model / -12 $\frac{7}{2}$, but it is easier to use the following formula, valid for a cylindrical emitter the diameter of which is low with respect to the length.

$$
K_2 = \frac{\lambda}{a} \quad \Gamma_0.5 - F_2 \quad (\frac{a}{\lambda}) \quad \Gamma_13 \quad \Gamma_2
$$

 λ = range of the particle in cm. a = radius of cylinder in cm.

a \mathbb{F}_{q} (--) integral function defined by $\frac{1}{2}$ $\frac{12}{12}$ $\frac{14}{12}$ $\frac{2}{12}$ $\frac{4}{12}$ $\frac{13}{12}$ $\int_{-\infty}^{\infty} e^{-p}$ with E_3 (q) = $\int_{\mathbf{q}} \mathbf{p}^3$ \mathbf{p}^2

Values of E_n (q) and F_2 (q) are tabulated in Annex I or in Ref. \overline{Z} 14 \overline{Z} .

The range λ must be calculated from empirical formulas like :

 $\lambda \cdot \rho = 0.543 \text{ E} - 0.16$ */*⁻¹³*]* valid for aluminium between 0.8 and.3 Mev but extrapolable to other materials,

 λ . ρ = 0.142 E^{1.265} - 0.0954 log E *C*¹⁵ valid for $0.01 < E < 2.5$ Mev

 $\lambda \cdot \rho = 0.53 E - 0.106$ *C⁻*15_7 valid for $E > 2.5$ Mev

where ρ is the density of the considered material.

The computation of K_p is complicated by the fact that β particles are emitted with a continuous: energy spectrum with energies varying from 0 to a maximum value which is considered as characteristic of the (à emitter considered. A general shape of a (3 spectrum of energies is given by Fig. 5.

To each number N_i of β particles of a given energy must be associated a range λ_i which allows to calculate a corresponding value K . of the self absorption factor. The value of K_{2} , for the considered reaction, is the integral of these elementary K_i values. An approximate value of the solution can be obtained in assimilating the β energy spectrum to a sum of rectangles to each of which is associated a mean number N_i and a mean energy E_i .

For each elementary rectangle it is possible to compute a mean absorption factor K_i ; approached value of K_j is then given by the sum :

$$
K_2 = \frac{\sum_{i} N_i K_i}{\sum_{i} N_i}
$$

The only difficulty consists in determining the β energy spectrum of the considered reaction.

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In the litterature it is possible to find values of maximum energy E max. which are normally used in radiation protection; the few experimental β spectra existing are related to elements with a rather long half-life which is evidently not the case of Rh, Ag, V. The only alternative consists in calculating, for each considered element, the theoretical corresponding β spectrum, or to use an empirical formula giving, for the whole spectrum, a mean energy value.

- a) determination of K_2 from a theoretical β energy spectrum. The computation, detailed in Annex 2, has been made in the case of Rh^{104} . The corresponding value of K₂ is 0.41.
- b) determination of K_{2} from a mean energy value.

A mean energy value (at \pm $\frac{1}{2}$ $\frac{1}{2}$) of a β spectrum can be derived from the following formula :

 \vec{E} = 0.33 E (1 - $\frac{2}{50}$) (1 + $\frac{E}{4}$) \angle 15_7

where : $E = maximum energy in Mev$ $Z =$ atomic number of the stable isotope. Always in the case of Rh¹⁰⁴ where E max. = 2 and Z = 45 this formula gives $\overline{E} = 0.967$ which leads to a value of 0.43 for K_2 . $\mathcal{F}=\{x^1,x^2,x^3\}$, where \mathcal{F}

This value is a justification of the validity of this determination and the results obtained, according to the application of this formula, are summarized in Table 4 for Rh, Ag and V in 0.5 mm diameter.

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TABLE 4 - Values of K_2 computed from mean energy values

3.2. Sensitivity of the collectrons

With the values of K_1 and K_2 it is now possible to calculate the theoretical sensitivity of the different *(ò* emitters according to formula (1) . For thermal neutrons at 2,200 m/s and neglecting the possible effects of resonance phenomena in the epithermal region, the theoretical values of the saturation current are given in Table 5 for the different emitters considered.

TABLE 5 - Theoretical values of the saturation current for various emitters of \emptyset 0.5 mm and 10 mm long.

As neither the silver nor the rodhium follow a 1 law, it is necessary for these elements to correct the values obtained for the Westcott cross section which depends on the condition of irradiation. Moreover all values must be corrected for the neutron temperature.

4. LOSS OF SENSITIVITY OF THE VARIOUS *β* EMITTERS AS A FUNCTION OF NEUTRON DOSE

Due to irradiation the number of stable isotopes diminishes with increasing neutron exposure and consequently the sensitivity of the detector diminishes with neutron exposure. In Table 6 is indicated the loss of sensitivity (in % with respect to initial sensitivity) in function of the integrated flux for various emitters.

TABLE 6 - Loss of sensitivity versus integrated neutron flux.

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ANNEX 2

Numerical values of the functions :

$$
E_3 \quad (q) \equiv \int_q^{\infty} \frac{e^{-p}}{p^3} \cdot dp
$$

$$
\mathbb{F}_2 \quad \text{(q)} \quad \equiv \quad \mathbb{q}^2 \quad ; \quad \mathbb{E}_3 \quad \text{(q)}.
$$

Values of E_3 have been computed in CETIS (C.C.R.ISPRA) in assimilating the integral to a sum of trapezia : thus the tabulated values are slightly higher than the theoretical ones.

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ANNEX 2

Evaluation of the self-absorption factor of Rh^{104}

from the corresponding theoretical *β* energy spectrum

A.2.1. Determination of the theoretical *β* energy spectrum *¿"λ* 1 and A 2_7

For an allowed transition, the repartition of the energies of a ß spectrum can be derived from the law :

N (p) dp = K.G (
$$
\pm
$$
 Z, Σ) p. Σ ($\Sigma_0 - \Sigma$)² dp

where :

ρ = particle momentum

<ΰ = energy of the *(b* particle expressed in relativistic units

 \sum_{α} = maximum energy of the spectrum

Ζ = atomic number of the daughter

$$
G(\pm Z, \Sigma) = \text{Fermi function}
$$

$$
p = (\sum_{1}^{2} - 1)^{1/2}
$$

$$
\Sigma = \frac{E}{0.512} + 1
$$

G (\pm Z, Σ) is tabulated in function of $\frac{P}{\sqrt{2}}$ / A 2 7 Ζ

K is a complex factor whose absolute value is not necessary for the specific case considered where the only important term is the statistic factor Σ (Σ_0 - Σ)² which is representative of the shape of the spectrum.

After integration it follows :

$$
N = K'
$$
. G $(\pm z, \Sigma)$.p. $\Sigma (\Sigma_0 - \Sigma)^2$

In the specific case of rhodium we have :

E max. 2.44 Mev \blacksquare Z of the daughter $= 46$ $\sum_{0} = \frac{E}{0.512} + 1 = 5.765$

It is possible to plot a theoretical spectrum, similar to the true spectrum except for the K' coefficient. The calculated values are tabulated in Table I and the corresponding spectrum has been plotted in Fig. I.

A.2.2. Evaluation of the self-absorption factor by energy groups

From the preceding values it becomes possible to calculate a self-absorption factor in assimilating the spectrum to a sum of rectangles each of which corresponding to a mean energy value and a mean number of particles (proportional to the true number by K').

By successive applications of the formula :

$$
f = \frac{\lambda}{a} \angle 0.5 - F_2 \left(\frac{a}{\lambda} \right) \angle 7
$$

a good approximation of K_2 , extended to the whole spectrum, can be obtained.

For a spectrum assimilated to a sum of 10 rectangles where the mean data are those of Table I the calculation, indica-<u>10</u> ted in Table II, leads to :

$$
K_2 = \frac{2 \pi r}{\frac{10}{4} \pi} = 0.41
$$

TABLE I - Determination of the theoretical β spectrum of Rhodium 104.

 \mathbf{I} 34 \mathbf{I}

TABLE II - Computation of the self-absorption factor from the β spectrum

 Σ $N.f$ 6.658 K_{2} $= 0.41$ $\frac{10}{1}$ 16.302 \mathbb{N}

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¿"A 2_7 K.SIEGBAHN, Beta and Gamma Ray Spectroscopy North Holland Publishing Co, Amsterdam (1955) $\mathcal{L}^{\text{max}}_{\text{max}}$ $\label{eq:2.1} \frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2\pi}}\int_{\mathbb{R}^3}\frac{1$

 $\label{eq:2.1} \mathcal{L}(\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})) \leq \mathcal{L}(\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}})) \leq \mathcal{L}(\mathcal{L}^{\mathcal{L}}(\mathcal{L}^{\mathcal{L}}))$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2.$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3} \frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2\left(\frac{1}{\sqrt{2}}\right)^2.$

 $\label{eq:2.1} \frac{1}{\sqrt{2}}\int_{\mathbb{R}^3}\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\left(\frac{1}{\sqrt{2}}\right)^2\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}\frac{1}{\sqrt{2}}$

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