

EUROPEAN ATOMIC ENERGY COMMUNITY - EURATOM

MODIFIED ELECTRON SPIN RESONANCE SPECTRUM SIMULATION PROGRAM

An IBM 360/65 modified version of the L.C. Snyder's program for the computer simulation of the Electron Spin Resonance Spectra of aromatic ions and radicals. (Bell Telephone Lab.)

by

A. INZAGHI and L. MONGINI





Joint Nuclear Research Center Ispra Establishment - Italy

Scientific Data Processing Center - CETIS and Chemistry Department - Organic Chemistry

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SUMMARY

The report describes an IBM 360/65 modified version of the "Electron Spin Resonance Spectrum Simulation Program" written by Lawrence C. Snyder (Bell Tèlephone Laboratories) for computer simulation of E.S.R. spectra of aromatic ions and radicals. CALCOMP spectrum plotting has been added to directly compare theoretical and experimental spectra. The possibility of hyperfine structure due to nuclei with spin 1 and 3/2 has been included.

KEYWORDS

COMPUTERS PROGRAMMING IBM 360 SPIN HYPERFINE STRUCTURE ELECTRON SPIN RESONANCE SPECTRA SIMULATORS AROMATICS IONS

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1. INTRODUCTION (*)

In order to arrive at the interpretation of E.S.R. spectra, a theoretical reconstruction and a comparison with the experimental spectra is necessary.

The hand made theoretical reconstruction is very time consuming; this is specially true for aromatic radicals and ions, with which we are mostly concerned, where the number of lines can be very high. Furthermore, with a hand made reconstruction it is not always easy to visualize the effect of overlapping between adjacent lines and the effect of line widths. Owing to these facts, several programs have been written to determine line positions and intensities from assumed hyperfine splitting constants. These programs can calculate absorption and derivative spectra using Gaussian or Lorentzian line shape.

This report describes an IBM 360/65 version of the "Electron Spin Resonance Spectrum Simulation Program" written by Lawrence C. Snyder [1] (Bell Telephone Laboratories) for computer simulation of E.S.R. spectra of aromatic ions and radicals.

The program has been written to compute and plot a theoretical reconstruction of the E.S.R. spectrum of an electron having isotropic interaction with several groups of protons; the protons belonging to the same group having the same value of hyperfine splitting constant. Lorentzian line shape is assumed.

We will now describe the modifications introduced in order to make the program suitable for our requirements and the machine.

2. MODIFICATIONS INTRODUCED IN THE PROGRAM

2.1 In the original version of the program, only the presence of hyperfine splittings due to protons or some other nucleus with spin 1/2 was con-

L. Mongini was concerned with the methodological and physical aspects of the problem, A. Inzaghi in writing the program for the IBM 360/65

^(*) Manuscript received on June 10; 1968.

sidered. The program is now extended to the cases where the hyperfine splittings are due to nuclei with spin 1 and 3/2 *). The number of lines for n equivalent nuclei with spin I is given by the expression 2nI + 1; the relative intensities have been memorized by a data statement. For the sake of homogeneity, also for nuclear spin 1/2, the intensities are now introduced under the data statement; the part of the program calculating the intensities by a recursive formula is now suppressed.

- 2.2 The plotting by points is not suitable for spectra with a big number of lines. In fact in this case some lines are lost, or the output becomes very extended. In order to use the CALCOMP data plotter [2], and to obtain a continuous plotting of the spectra, the subroutine Plot has been suppressed from the program.
- 2.3 The height (cm) of the biggest line of the experimental spectrum is now given in input. This in order to obtain the superposition of theoretical and experimental spectrum along the Y axis. As concerns the X axis, the superposition is obtained by expressing in cm the line width at half height, the interval at which the spectrum is sampled and the hyperfine splitting constants.
- 2.4 The memory capacity of our machine, in comparison with the memory available for the original program in 1960, is much bigger. Owing to the fact that the cases to be treated until now do not need an enlargement in the memory capacity as concerned before, the excess of memory is now utilized in the present version, for memorizing 4 cases and plotting them together. With this method we can define only one file for CALCOMP; this means a great sparing in the number of control cards.

It is necessary to emphasize that this utilization of the memory capacity seems to be, at the moment, the more practical for our machine installation. It is obviously easy to modify the program in order to use

^{*)} A further extension to the cases of other nuclear spins, by the method outlined in 3.2, would be very easy.

the excess of memory also for a single case if the number of lines became very big. This point will be reconsidered later on.

3. DESCRIPTION OF THE MODIFIED PROGRAM

3.1 The program in its present version, apt to an IBM 360/65 computer, is able to calculate and plot by a CALCOMP data plotter, a theoretical expression for the E.S.R. spectrum (or its derivative) of an electron having isotropic hyperfine interaction with several groups of nuclei, with spin 1/2, 1, or 3/2. The spectrum is assumed to have a Lorentzian line shape.

In the program, the input data to be supplied for a given problem to be studied are in the first card:

NMKD	- the total number of groups of equivalent nuclei, gene- rating hyperfine patterns
IDEC	 an indicator specifying if the absorption spectrum or its derivative has to be calculated
W(cm)	- the half line width at half height (fig. 1)
ANINT (cm)	- the interval at which the spectrum has to be sampled
XXXX(cm)	- the height of the spectrum
RIB	 an indicator which states if the sign of ordinate of the plot is to be changed

Besides, for each of the groups, the following data have to be specified:

INDGR	- the nuclear spin multiplied by two
NMEK	- the number of nuclei belonging to the group
DHEK(cm)	- the hyperfine splitting constant

3.2 Now for the description of the work of the program after the reading of the input data, it is necessary to look into some detail at what happens in a single group. Let us consider first the case of protons or any nucleus of spin 1/2.

It is known that hyperfine interaction of the unpaired electron with n equivalent protons produces n + 1 lines having relative intensities and spacings as specified in the following diagram (the separation between any two lines being the value of the hyperfine splitting constant).



In this triangle the relative intensities of a line can be obtained by summing up the 2 immediate top elements of the upper row.

In the case of nuclei with spin 1 (for instance Deuterium and N^{14}) the hyperfine splitting produces 2n + 1 lines, if n is again the number of equivalent nuclei. The relative intensities and spacings are specified in the following diagram.

				•			٨						
			:			1	1	1					
					1	2	3	2	1				
				1	3	6	7	6	3	1			
			1	4	10	16	19	лб	10	4	1		
		1	5	15	30	45	51	45	30	15	5	4	
	. 1	6	24	50	90	126	141	126	go	50	21	6	1.
•	-6	-5	-4	-3	-2	-1	0	1	Ł	3	4	5	6

7.

In this triangle the relative intensities of a line can be obtained by summing up the 3 immediate top elements of the upper row. In the case of nuclei with spin 3/2 (for instance Na²³) the hyperfine splitting produces 3n + 1 lines. The relative intensities and spacings are



In this triangle the relative intensities of a line can be obtained by summing up the 4 immediate top elements of the upper row.

To shorten the execution time of the program, the values of the relative intensities in the above described triangular diagrams, have been stored in memory once for ever through a DATA statement. Relative intensities

for a given number of equivalent nuclei with spin 1/2, 1 and 3/2, can be asked for in the program till 12, 6 or 4 nuclei, respectively. That is up to 13 lines.

3.3 As soon as the input data are read the program starts to compute for each line both the distances from the origin and the relative intensities.
To do so the following procedure is adopted, which, for the sake of clearness we will describe in a particular simple case rather than in general.

Suppose three groups are present having respectively 1 nucleus with spin 1/2, 2 nuclei with spin 1, and 1 nucleus with spin 3/2. In such a case we will have for the first group a splitting in 2 lines, for the second group in 5 lines and for the third group in 4 lines. Let us suppose then that the splitting constants are respectively 13, 2.5, 0.5. In such a case the diagram showing the computation of the relative intensities and of the distances from the origin is given in fig. 2.

The program follows each branch which appears in the diagram of fig. 2, from top to bottom, ordering the branches from the right-most side to the left-most side, and stores for the final points of each branch both the intensity and the distance from origin. That is, in the present case, 2 vectors of length 40 will be stored. These vectors named in the program DS(LIST) and HS(LIST) are respectively (positive part)

1	1 2. 75
1	11.75
1	11.25
1	10.75
2	9.75
2	9.25
2	8.75
2	8.25
3	7.25
3	6.75
3	6.25
3	5.75
2	4.75
2	4.25
2	3.75
2	3,25
1	2,25
1	1.75
1	1.25
1	0.75

IO

The ordering number of the considered branch (and of the corresponding position in the vectors) is named, in the program, LIST. A CALCOMP plot for the above case is shown in fig. 3 and 4. It is important to note that the ordering numbers in the vectors are still the ordering numbers of the branches also in the cases in which the branches overlap.

3.4 In the program herein described, for the memorization of the above vectors, fast memory use is chosen with respect to tapes or disks, in order to shorten execution time. Consequently, some limitations must exist in the total number of groups to be considered and in the number of nuclei of each group.

If NL(I) is the number of lines of group I (being: NL(I) = NMEK(I). INDGR(I) + 1) it follows that the total memory occupied by the 2 above introduced vectors is equal, in the case of NMKD groups to:

2 NL(I) . NL(2) NL(NMKD)

In the present version of the program we have reserved 2×4096 wordpositions to the above product (see 3.6).

In order to give an idea of what such limitation really means, let us suppose the NL equal for all groups. In such a case the table given below holds

NL	NMKD maximum
2	12
3	7
4	6
5	5
6	4
7	4
8	4
9	3
10	3
11	3
12	3
13	3

3.5 The program assumes in each of the peaks which have been found, the presence of a Lorentzian curve having as half width at half height the input value W(cm). All such Lorentzian curves are summed up together

II

giving rise to a unique curve Y(X) of which, if so required, the derivative curve $Y^{!}(X)$ is calculated.

Such a curve is calculated and printed at a finite number of points on the abscissa scale, as specified by the input quantity ANINT. The choice of these 2 input parameters W and ANINT requires some skill and care. A too great value of W can give rise to spectra which, still being symmetric with respect to zero of abscissa, lose however some of their peaks; a too great ANINT can produce spectra which besides can also appear completely asymmetric. Generally it is advisable to have $W/ANINT \ge 5$.

3.6 The program can deal with many cases, and the possibility of storing the points of Y(X) for each consecutive 4 cases is provided for. Two stops are provided in the program, one for number points to be plotted larger than 6000 and the other one for LIST indicator larger than 4096. These 2 stops are related to the memory utilization mode.

In fact, at our computer (IBM 360/65) the total memory capacity is of 128 K-words (K = 1024), of which about 60 K available for users. In the present version of the program, 56192 words are used for the storage of 4 cases. These 56192 words are distributed as follows:

Vector specifying intensities DS(LIST)	4096
Vector specifying distances HS(LIST)	4096
Abscissas of 4 curves $Y(X)$ 6000 x 4	24000
Ordinates of 4 curves $Y(X)$ 6000 x 4	24000
	56192

3.7 As already stated, the choice of the above described dimensions is mostly a matter of convenience. It is very easy, the case being, to change them, for instance in order to deal with larger vectors, that is with a greater number of allowed groups, or atoms in a group.

4. ACKNOWLEDGEMENT

It is a pleasure to thank Dr. H. Hannaert for supporting this work and useful discussions. Thanks are due also to Dr. R. Van Steenwinkel (Magnetic Resonance) for the beautiful Diphenyl spectrum and valuable discussions.

5. REFERENCES

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- [2] MOINIL, P., PIRE, J., "Programmation relative au CALCOMP" EUR 2280-f

FLOWCHART





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INPUT INSTRUCTIONS

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42			┢	+	H	╡	+	╉	╋	╉	╉	+	╈	╉	╉	╋	+	╉	╈	╉	+	+	╈	+	╉	+	╉	╀	╀	╀	+	╞	┝	┢	┢		$\left \right $		+	-†	╉	╈	╉	+	┢	┢					╉	+	╈	Ť			╉	╉	+	+		┥	+	╉	╉	╈	+	┢	┢	H	-	+	╉	1	
	+	-	╀╴	┢	┟┤	+	╉	╈	╉	╉	╀	╉	╉	╉	╉	╉	╉	╉	+	╉	+	╉	+	╉	+	+	+	╀	╀	╀	+	╞	╀	┢	╞	╞	┢		+	+	+	╉	╁	+	╀	╀	$\left \right $				╉	╉	╀	┼		-	╉	╈	╉	╞	-	╉	+	+	╉	+	+	╀	H		-	╉	╉	+	
			┨-		H	+	+	╀	╀	┾	╀	╀	+	╉	+	╉	+	+	╉	╀	╉	╉	╉	╈	╀	+		╀	╀	┝	┢	┥	╞	-	┢╌		\vdash	-	+	+	┢	+	╉	+	┢	+	-		\mid	-	+	╉	╞	┥╴	Н		╉	╉	╀	╞	-	+	+	+	╉	╉	╀	┢	H	$\left \cdot \right $	+	+	╉	-	
15	+		+	$\left - \right $	┢┼	-	┽	+-	$\frac{1}{1}$	-	-	╀	╀	┼	┢	╉	+	+	╀	╀	╉	╬	╉	╀	╀	+	-	+	╀	╞	┢	╞	╞	$\left \right $	-	-	┝	_	+	+	╉	╀	╉	╀	+	┢	╞				+	+	╀	+	$\left \cdot \right $	+	+	╀	╀	┢	-	+	+	┽	╉	╀	┿	┢	\vdash	\vdash		+	╉	+	
16	-				\square	+	-	+	-		╞	╞		+	+	╡	+	+	+	+	+	-	+-	+	╀	+	-	+	╞	╀	╀	┝	+	┝	┝		\vdash	-	+	+	╉	╀	╉	╀	╀		\vdash	\vdash			+	╉	╀	╆╴	H		+	╉	╀	╞	-	-	+	+	+	╉	╀	┼╴	\vdash	Η		+	+	-	
17		!	1				_	+	-	+-		-	ł	-	-	\downarrow	+	\downarrow	4.	4.		\downarrow	\downarrow	+	╀	╀	+		╂-	╞		╞	╞	+	╞	-	┝	_	+	+	╉	╋	╀	+-	+	╀─					+	+	+	+		-	+	+	╀	╞	-	+	+	+	+	╀	╀	┢	\mathbb{H}	Η	-	+	┥	-	
18			Ļ.			_	+	-	╞			+	-	1	\downarrow	+		+		+	-	Ļ	╀	\downarrow	╞	╞			╇	╞	╞	╞		┞	-	┡	-		+	-+	+	╀	╀	╀	+	┝	-			-	+	╉	+	╞	\mathbb{H}		╉	╀	╀	╞	_	-	+	+	+	╀	╀	╀╴		\vdash	-	-	+	-	
19	1	+-	 			1	+	1.	+	╞	-	+	-	+	+	+	-	+	+	+	+	+	╀	+	\downarrow	+-	╞	+	-	╞	-	_	╞	╞	╞	-		-	+	-+	+	╀	╀	╀	+	-	-			-	+	┽	╀	╞	Н	-	+	╀	╀	╞	-	4	-	+	+	╉	+	╀╴	$\left \right $	Н	-	-	+	-	
20			ļ_			+	+	+	+		1	╞	\downarrow	4.	+	+	4	╀	+	+	\downarrow	+	+	+	ļ		╞	╀	╞		-	┞	-	┞	╞	_	\mathbf{H}	-	+	+	+	+	+	╀	+	┞	-		$\left \cdot \right $	-	+	+	╉	+	$\left \cdot \right $	$\left \right $	+	+	╀	╞		+	+	+	+	+	╀	╀	╞	Η	+	+	+	+	
21	4		1	Ц	\square			+		1	_	1	\downarrow	1			4.	+	╞	╞	\downarrow	+	╀	1	1		1		_	Ļ	╞	Ļ	L	Ļ	_	-		-	4	4	+	+	+	+	╞	┞					+	+	+	+	Н		4	╀	+	┞		-	-	4	4	\downarrow	+	┞	┢	μ		\downarrow	\downarrow	-	
22	-	1		Ц	\square		\downarrow	\downarrow	ŀ.	Ļ	L	\downarrow		1	1	\downarrow	-	4	\downarrow	1	1	1		4	1		1	_	-	L	L	1		┢	-	L		\downarrow	4		+	+	4	+	-	-			Ц		\downarrow	\downarrow	+-	╀	\parallel		4	\downarrow	4	-	Ц	_		4	4	\downarrow	╀	╞	┡	\parallel			-	4	
23	\downarrow	1		Ц			1	1		-	L	L	1	-				4	1		\downarrow	\downarrow	\downarrow	\downarrow		1						L	L	L	 _			4		\downarrow	+	╀	+	1		┞							+	1		\square	-	+	\downarrow	┞				\downarrow	_	\downarrow	\downarrow	-	╞	μ	Ц			4	
24						_	\downarrow	.	1	_		+	\downarrow	1	1	╞	\downarrow	\downarrow		1		1	4	4	1	ļ.		L	L	L	L	L		L	 	L	\square		1	N		亇	1	2	¥	T	A		٢	8	R	k	¥	15	E	S	_	e i	F			ľ	ଧ			₹	·ľ	1	6					4	
25																																										Ι										Ţ	Ι						Í										Γ						

8. INPUT DATA FOR CASES OF FIG. 3, 4, 6

FORTRAN IV	G LEVEL	. 1, MOD ()	MAIN	DATE = 68099	20/24/50
	CCC	MODIFIED ELECTRON	SPIN RESONANCE SP	ECTRUM SIMULATION PR	DGRAM
0001 0002		DIMENSION NMEK(12 DIMENSION INDGR(1),DHEK(12),H(13,12),U(13,12),HS(4096),	DS(4096)
0004		DIMENSION X1(6000 DIMENSION X1(6000 DIMENSION AAAA(18),Y1(6000)	1, 13(5000), X4(6000),	44160001
0006	С	DIMENSION AP(90), DIMENSION AQ(34),	AU(48), APX(12, 13), AQX(4, 13)	AUX(6,13)	
	C C C C C	BLÜCK 1-STORAGE-			
0008	Ĺ	DATA TEST, TEST, TE A., 1., 3., 26., 7., 6.,	ST, AU/4HEND ,4HEND 3.11.11.4.,10.,16	,4HEND ,1.,1.,1.,1. ,19_,16_,10,,4.,1.,	, 2 . , 3 . , 2 . , 1 1 . , 5 . , 1 5 . , 3
0009		C50.,45.,51.,45.,30 C50.,21.,6.,1./ DATA RR,RR,RR,AP/ A.,4.,6.,4.,1.,1.,	4H ,4H ,4H 5.,10.,10.,5.,1.,1.,6.,	21.,50.,90.,126.,141 ,1.,1.,1.,2.,1.,1. ,6.,15.,20.,15.,6.,	,126.,90., ,3.,3.,1.,1 1.,1.,7.,21
		b, 35, 35, 35, 21, 7, 7 C126, 126, 84, 36, D, 1, 1, 1, 11, 55, 1 F, 220, 495, 792, 1	1, 1, 1, 1, 8, 28, 56, 7 9, 1, 1, 1, 1, 10, 45, 7 65, 330, 462, 462, 462, 924, 792, 495, 220	0,,56,,28,,8,,1,,1,, 120,,210,,252,,210,, ,330,,165,,55,,11,,1	9.,36.,84., 120.,45.,10 .,1.,12.,66
0010		DATA FF, FF, FF, A0/ 1.,1.,1.,3.,5.,10.	4H ,4H ,4H ,4H ,4H ,12.,12.,10.,6.,3.	,1.,1.,1.,1.,1.,1.,2. ,1.,1.,4.,10.,20.,31	, 3 . , 4 . , 3 . , 2 . , 40 . , 44 . , 4
0011 0012	24	DU 24 JK=1,44540	91.7		
0013 0014 0015		JX=0 DD 997 K=1,12 JY=JX+1			
0016 0017 0018		JX=JY+K J1=∩ DD 997 J=JY•JX			
0019 0020 0021	997	J1=J1+1 APX(K,J1)=AP(J) CUNTINUE			
0022 0023 0024		JX=0 JD 998 K=1,6			
0025 0026 0027		K1=2*K JX=JY+K1			
0023		J1=J1+1			
0030		AUX(K,JI)=AU(J)			

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FURTRAN	IV (S LÉV	ΈĹ	1, MOD 0		MAIN	DATE = 68099	20/24/50	PAGE 0002	
0031 0032 0033 0034 0035 0036 0037 0038 0039 0040 0041		S C	198	CONTINUE JX=0 DU 996 K JY=JX+1 K1=3*K JX=JY+K1 J1=0 DU 996 J J1=J1+1 AQX[K;J1 CUNTINUE	=1,4 =JY,JX)=AQ(J)				
		3000		BLOCK 2-	READ G	ENERAL INPUT-				
0042 0043 0044 0045 0046 0047			11 32	READ (5, WRITE (6 MM=1 CONTINUE DD32I=1, XI(I)=0.	13) NK ,12) N	,IWRT N,IWRT				
		L L L L L		BLOCK 3-	READ I	NPUT FOR A PARTI	CULAR CASE-			
0048 0050 0051 0052 0053 00554 00555 00555 00557 00558		C		READ(5,4 WRITE (6 IF(AAAA(WRITE (6 READ(5,1 READ(5,1) WRITE (6 WRITE (6 WRITE (6 WRITE (6 WRITE (6,)(AAAA 10)(1).EQ. ,8001))NMKE 2)(IA ,11)N ,18)(,13)(,14)(3)	(I), I=1,18) AAAA(I), I=1,18) TFST) GJ TU 2222 , IDEC, W, ANINT, XX DGR(I), NMEK(I), D MKO, IDEC, W, ANINT INOGR(I), I=1,12) NMEK(I), I=1,12) DHEK(I), I=1,12)	XX,RIB HEK(I),I=1,NMKD) ,XXXX		i	2.0
		C C C		bLOCK 4- INTENSIT	CALCUL Y AND	ATION OF THE 2 V POSITIONS OF EAC	ECTORS SPECIFYING H LINE-			
00 59 0060 0061 0062		C		DO 150 I K=NMEK(I 4AK=K L=INDGR(=1,NMK) I)*K+1	U				

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FORTRAN IV & LEVEL 1, MOD 0

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0063		$J_{Q}^{\perp}=INDGR(I)$
0065	5000	AAIND=AAK*0.5
0066		GU TD 5002
0067	5001	
0069	5006	AAIND=AAK*1.5
0070	5002	00 140 J=1,L
0071	140	AAJ=J
0073	140	GD TD(5003.5004.5005).JQ
0074	5003	DO 130 J=1,L
0075	130	$D(J_{I}) = APX(K_{I})$
0077	5004	$00 \ 131 \ 1=1.1$
0078	131	D(J,I) = AUX(K,J)
0079	FUOF	GO TO 150
0081	132	D(1) = 1 = 1 = 1 D(1) = 1 = 1 = 1
0082	1 50	CONTINUE
0083		
0085		1A=1NUGR(1) + NMER(1) + 1 $1)O = 201 IY=1 \cdot IA$
0086		SHOIS=H(IY,I)
0087		SHS=SH01S
0089		
0090		IF (NMKD-2) 161,162,162
0091	401	
1093	102	10 = 10008127 + 0008127 + 1008127 + 1008127 + 1008127 + 1008127 + 1008127 + 1008127 +
0094		SH02S=H(12,2)+SH01S
0095		SHS=SH02S
0097		PDS=PD02S
0098		ĮĘ (NMKD-3) 161,163,163
0099	402	GU TO 202 TC-INDCR(3)#MMEK(3)+1
0101	105	$DD = 203 I = 1 \cdot IC$
0102		SH03S=H(13,3)+SH02S
0103		5H5=5H035 20035=0/13,3)*PD025
öiös		PDS=PD03S
0106	4.03	IF (NMKD-4) 161,164,164
0107	403 164	10 10 203 10=1NDGR(4)*NMFK(4)+1
0105	201	DO 204 I4=1,ID
0110		SH04S=H(I4,4)+SH03S

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FORTRAN	IV G LEVEL	1, MOD C		MATN
01112 0112 0113 0114 0115 0116 0116 0117 0118 0119	404 165	SHS=SHC4S PD04S=D(14, PDS=PD04S IF (NMKD-5) SO TO 204 IE=INDGR(5) DO 205 I5=1 SH05S=H(15, SHS=SH05S	4)*P003 161,16 *NMEK(5 ,IE 5)+SH04	95,165 95,165 9)+1 95
0120 0121 0122 0123 0124 0125 0126 0127	405 166	PD05S=0(15, PDS=PD05S IF (NMKD-6) GO TO 205 IG=INDGR(6) OU 206 I6=1 SH05S=H(I6, SHS=SH06S	161,16 *NMEK(6 ,IG 6)+SH05	-5 96,166 9)+1 95
0128 0129 0130 0131 0132 0133 0134 0135	406 167	PD06S=D(16, PDS=PD06S IF (NMKD-7) GD TO 206 IH=INDGR(7) DD 207 I7=1 SH07S=H(17, SH35S=SH07S	6)*PD05 161,16 *NMEK(7 ,IH 7)+SH06	55 57,167 7)+1 55
0136 0137 0138 0139 0140 0141 0142 0143	407 168	PU07S=D(17, PDS=PD07S IF (NMKD-8) GD T0 207 I1=INDGR(8) D0 208 I8=1 SH08S=H(18, SHS=SH08S	7)*PD06 161,16 *NMEK(8 ,11 8)+SH07	98,168 98,168 9)+1 75
0144 0145 0146 0147 0148 0149 0150 0151	408 169	PD08S=D(18, PDS=PD08S IF (NMKD-9) GD TO 208 IJ=INDGR(9) DD 209 I9=1 SH09S=H(19, SHS=SH09S	8)*PD07 161,16 *NMEK(9 ,IJ 9)+SH08	S 99,169 9)+1 8S
0152 0153 0154 0155 0156 0157 0158	409 170	PD09S=D(19, PDS=PD09S IF (NMKD-10 GO TO 209 IK=INDGR(10 D) 210 I10= SH10S=H(110	9)*PD08)) 161,1))*NMEK(1,IK),10)+SH	35 70,170 10)+1 1095

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DATE = 68099

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FORTRAN IN	/ G LEVEL	1, MOD 0	MAIN	DATE = 68099	20/24/50	PAGE 0005
0159 0160 0162 0163 0164 0165 0166 0166	410 171	SHS=SH10S PD10S=D(110, PDS=P910S IF (NMKD-11) G0 TO 210 IL=INDGR(11) D0 211 I11=1 SH11S=H(111, SHSSH11S	10)*PD095 161,171,171 *NMEK(11)+1 IL 11)+SH105			
0168 0169 0170 0171 0172 0173 0174 0175 0176	411 172	PD11S=D7111, PDS=PD11S IF (NMKD-12) GO TO 211 IM=INDGR(12): DD 212 I12=1 SH12S=H(I12, SHS=SH12S PD12S=D(I12,	11)*PD10S 161,172,172 *NMEK(12)+1 ,IM 12)+SH11S 12)*PD11S			
0177 0178 0179 0180 0181 0182 0183 0184 0185 0185 0186	212 211 209 209 208 206 205	PDS=PD12S GD TO 161 CONTINUE CONTINUE CONTINUE CONTINUE CONTINUE CONTINUE CONTINUE CONTINUE				
0187 0188 0189 0190 0191 0192 0193 0195 0195 0195	204 203 202 201 161 5001 6000	CONTINUE CONTINUE CONTINUE CUNTINUE GU TO 6005 LIST=LIST+1 IFILIST-4096 WRITE (6,500) GU TO 2222 CONTINUE)5000,6000,6001 2) LIST			
0197 0193 0199 0200	CCCC	HS(LIST)=SHS US(LIST)=PDS NOWUT=NMK) GD TU(401,40 BLOCK 5-CALC	2,403,404,405,406,40 JLATION OF THE ABSOR	7,408,409,410,411,212), PTION SPECTRUM OR ITS 8	NOWOT DERIVATIVE-	
0201	ັ ຣບບອ	A1=43(1)				

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FORTRAN	IV G	LEVEL	1,	MOD	0	MAIN	DATE = 6	3099	20/24/50	PAGE	0006
0202 0203 0204 0205 0206 0207		741 740	D0 IF A1 C0 31 A1	740 (A1) =HS(NTIN =-A1) =A1+	IZ=2,LIS -HS(IZ)) IZ) UE -W*10.0 W*10.0	5T 741,740,740					
0208 0209 0210 0211 0212 0213 0214			AR JA JA JE A1 A2 I1	I=(A RT=A RT=J LT=(=A1+ =JAR	1-813/144 RT+1.0 ART BART-ART) DELT BART*20.(T*20+1)*20.0*ANINT/2.()*ANINT	0				
0215 0216 0217			ĪĪ JŪ AJ	1=JA 450 =K-1	RT#10+1 K=1,I1	· · · ·					
0218 0219 0220		450	0 X1 AN DD	(K)= 0RM= 455	A2+AJ*AN] 0•0 K=1,LIS]						
0222		450) AN DD DD DS	460 (K)=	K=1,LIST DS(K)/ANC	r DRM					
0225 0226 0227		470) Y1 Z=	(K) == +1.0	K=1,11 0.0 /W						
0228		600	1F 100	(IDE) 6301 6301	C)500,600 =1,LIST =1,I71),5 00					
0231 0232 0233		630	Ϋ́Ϊ 0 CO 00	(J)= NTIN 999J	YÎ(ĴĴ+DS) UE =1,IZ1	(I)*(S/(1. 0+Z*Z)	*{X1(J)-HS(I))*(X]	L(J)-HS(I))))		
0234 0235 0236		999	I= Y1 G0	I1-J (I)= T0	+1 Y1(J) 800	_					
0237 0238 0239		500	00 00 11	650 650 (J)=	I=1,LIS J=1,IZ1 Y1(J)+DS(「 【】)*(-S*Z*Z*2。Q3	*(X1(J)-HS(I))/(()	L.O+(X1(J)-H	S(I))*(X	;	
0240 0241 0242		650	11(00(00 1=	J)-H NTIN 899 11-J	S(I))#2#2 UE J=1,IZ1 +1	<u>/</u>)≭(I•O+(XI(J)-,	H2(1))≭(XI(J)−H2(1	1))*(*()))			
0243 0244 0245		899 800	Ϋ1 Υ1 Ο Ω	(Ī)= S=Y1 NTIN	-Ÿ1(J) (I) UE						
0246 0247 0248			ZZ DU IF	Y=0. 5555 {Y1([=2,]] [-1])558;	559,5 59					

558	901=0. CO TO 553
559 553 556	DD1=Y1(I-1) IF(Y1(I))556,557,557 DD2=0.
557 554 551	GU TO 554 DD2=Y1(I) IF(902-DD1)551,552,552 IF(774 L DD1) 778-001
552 555	GO TO 555 IF(ZZY.LT.DD2) ZZY=DD2 CONTINUE
	IF(ZZY.LE.O.) GO TO 8222 WRITE (6,17) ZZY RAPP=XXXX/ZZY //Y=XXXX
515	DD 515 I=1, I1 Y1(I)=Y1(I)*RAPP IF(RIB) 9000,9001,9001
9000 9002 9001	DU 9002 I=1,11 Y1(I)=Y1(I)*RIB CUNTINUE JRITE(6.5) JART-A1-A2-II
22	IF(IWRT, EQ.0) GO TO 23 WRITE(6,7) WRITE(6,6) (X1(I),Y1(I),I=1,I1)
C C C	BLUCK 6-CALL CALCONP-
C C	IF(I1.67.6900)_60_70_4000
2 0 25	$\begin{array}{c} 30 & 25 & I = 1, [1] \\ \chi_2(I) = \chi_1(I) \\ \chi_2(I) = \chi_1(I) \\ \chi_2(I) = \chi_1(I) \end{array}$
	MA = I1 Z1X = A1 - A2 Z1Y = 7.2Y G1 = TO - 2.2
21 26	30 26 I=1,I1 X3(I)=X1(I) Y3(I)=Y1(I)
	$22 \times 41 - 42$ $22 \times 41 - 42$ $22 \times 22 \times 22$ $30 \times 10 \times 22$
	558 553 556 557 551 552 555 515 9000 9001 23 CC CC 20 25 21 20

FORTRAN	IV G L	EVEL	1, MC	0 Q		MAIN	D/	ATE = 68	1099	20/24/50	PAGE	0008
0292		27	00 29 X4(1)	I = 1, 1 = X1 (I)	1							
0294		29	$\dot{Y}4(\dot{I})$	=ŶĨ(Ĭ)								
0296			23X=A	1-A2								
0298		22				22						
0300		22	GO TO	1111								
0302		در	CALL	FINIM	(0.,0.)		71 7 71 7 (
0304			IF (MM	(-2)332	32,3334,3	3332	~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~	29094N X	(1) -4) 40 1	, + 4, 0)		
0300		2224 2223		3333								
0308		22.26	CALL	FINIM	0.,224)		ערד ארי			14 0)		
0310		2224	IF (MM	-3)333	5,3336,3	3335	L Z X 9 L Z T 9 '	/•//•4n /	(2) -4) 4n 12	9 + 4 9 U J		
0312		2220	GO_{T}	3333								
0314		2222	CALL	FINIM	0.,ZZA)		י עכיד עני					
0315		2220	IF(MN	10ESS10 -4)33	11 x4 , 14 , 1 37 , 3338 , 3	3337	238,238,0	/•0•4H X	(3) -4) 4H T3	,+4,0]		
0318		3238 7227	<u><u><u></u></u><u><u></u><u></u><u></u><u><u></u><u></u><u></u><u><u></u><u></u><u></u><u></u><u></u><u></u><u></u><u></u><u></u></u></u></u></u>	3333								
0320		. ,		FINIM	0.,Z7.A)							
0322				DESSIN	HX1,Y1,	11,1,1,1,0,0,2	ZZX,ZZY,),0,4H X	(4 ,-4,4H Y4	,+4,0}		
0323			220=\ 220=\	2X+3. N-1								
0325			CALL	FINIM	ZZB,ZZC))						
0328		1	GO TO		N						;	
0330		2222		NUE N-1								
0332			CALL	FINIM	ZZB,ZZC))						
0334	c		GO TO	1111	۱							
	Č		E 0 9 MA	т ст.	TEMENTS							
	L C		гикма	I STAI	CHEN12							
	L											

FORTRAN	IV G LEVEL 1, MU	10 O	MAIN	DATE = 68099	20/24/50
0335 0336 0337	1 FURMA 2 FORMA 3 FORMA 1 DN PP	T(215,4E12.6) T (4(13,13,E1) T(1H1,30X,*MO	2.6)) DIFIED ELECTRON SPI	IN RESONANCE SPECTRU	M SIMULATI
0338 0339 0340	4 FORMA 5 FORMA 6 FORMA 7 FORMA	AT (1344) AT (140,444JART AT (141,5X,6E16 AT (141,65X,6E16)	,I6,10X,2H41,F6.2,1	LOX,2H42,F6.2,10X,2H	11,16//)
0342	7 FORMA 9 FURMA 1 6000	((//1H , PR()///)	DGRAM STUP FOR NUMP	BER POINTS TO PLOT L	ARGER THAN
0343 0344	10 FORMA 11 FORMA 112.4,	T (141,5X,13A) T (7/1H ,10X, 5X,15HLENG OF	4//) 5HNMKD=I3,5X,5HIDE(Y (CM) =E12.4)	l=I3,5X,2HW=E12.4,5X	,6HANINT=E
0345 0346 0347 0348 0349 0350	12 FORMA 13 FORMA 14 FORMA 16 FORMA 17 FORMA 18 FORMA	AT (///IH ,20X AT (//IH ,10X, AT (//IH ,10X, AT (//IH ,10X, AT (///IH ,10X, AT (///IH ,10X)	,'NÚMBÈR ÔF CASES 7HNMEK([)/1H ,12110 7HDHEK([)/1H ,12E11 X VALUE OF Y1([) 8HINDER([)/1H ,12E1	<pre>',I2,10X,'IWRT = ',)) L.4//) = ',E16.6///) </pre>	12///)
0351	6002 FORMA		OGRAM STOP FOR LIST	FINDICATOR LARGER T	HAN 4096 1
0352 0353	3000 FORMA 8001 FORMA C	AT (///1H , PR) AT (///1H ,50X	OGRAM STUP FOR Y1(M ,'INPUT DATA'///)	4AX) = ',E16.6///'	
		OL STATEMENTS	FOR PROGRAM LIMITE	ËS	
0354 0355 0356 0357 0357 0353 0353	נ 30 הח 8222 WRITE 30 הח 8222 WRITE 30 הח 2222 STOP END	(6,9) 11 2222 (6,8000) ZZY 2222			

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20/24/50

PAGE 0010

SYMBOL JEST NN IDCC AAK EIST POO2S ID SH06S SH10 SH11S SH11S SH11S APT I1 SAPO Z2X Z2B	LUCATO 410 410 428 443467396043604436044360 55557643605436044360 555555555555555555555555555555555555	SC SYNDDL CR JY IWRT W IA 2DS IC IA 2DS IC IA 2DS IC SH105 S	AL AR MAP LOCATION 4174 4230 4454 4504 4504 4504 4504 4504 4504 45	SYMBOL FF J1 ANINT JQ IY IB SH005S FH SH005S FH SH005S IM ADAR F ZZY Z1X ZZX	L OC AT I UN 4120 4420 4453 44543 44543 44543 44543 4450 4450	SYMBJL JK J XXXX AAIND SHOIS I2 SHO3S PDO4S IG I7 SHO3S PDO9S IL I12 IZ IZ IZ ZZ Z3X ZZC	LOCATION 410 430 44580 44580 44580 44580 44580 44580 44580 44580 44580 44580 44580 44580 44580 44580 5578480 5578480 5578480 5578480 558000 558000 55800 558000 558000 558000 55800000000	SYMBO JX K1 NMKD RIB AAJ SHS SH02S F02S IE I6 SH07S F008S IK I11 SH12S B1 A2 Z DD2 MB Z3Y	LOCATION 420 434 445C 470 488 445C 470 488 498C 404 498C 404 404 404 404 404 404 510 5288 540 574 560 574 588 560 5788 580 574 588 580 574 588 560
SYMBOL NMEK DS Y3 AAAA AQ	LOCATION 5C4 4304 1A474 37934 37F4C	49 SYMBOL DHFK INDGR X4 AP 40X	2AY MAP LOCATION 5E4 8B04 20234 37970 37E04	SYMDOL H X2 Y4 AU	LOCATION 624 8834 25554 37454	SYMBOL D Y2 X1 APX	LOCATION 894 • E8F4 28D84 37BA4	SYMBOL HS X3 Y1 AUX	LOCATION 804 14684 31874 37E14
SYMBOL TBCOM=	LOCATION 38044	SU Symbol Finim	BPROGRAMS CAL LOCATION 330A3	LED SYMBOL DESSIN	LOCATION 380AC	SYMBOL FINTRA	LOCATION 380B0	SYMBOL	LOCATION
SYMBOL 1 6 12 13	LOCATIUN 38214 382A2 38362 30365	5¥101L 7 13 6002	RHAT STATEMEN LOCATION 3521F 392AF 39391 38391 38410	IT MAP SYMBOL 3 9 14 8000	L OC A T I ON 3822B 382C7 383AB 3844D	SYMBOL 4 10 16 8001	LOCATION 38273 3930B 383C8 38478	SYMBOL 5 11 17	LOCATION 38279 38318 383CE

TOTAL MEMORY REQUIREMENTS 03A064 BYTES

IEF285I SYSOUI IEF285I VOL SCR NOS= IEF285I VOL SCR NOS= IEF285I VOL SER NOS= PUNCHI. IEF285I LOADSET.SPIN IEF285I LOADSET.SPIN IEF285I ALLOC.FOR SPIN EUR IEF237I SYSLIB ON IOO IEF237I SYSLIB ON 300 IEF237I SYSLIN ON OOC IEF237I SYSUII ON 301 IEF237I SYSUII ON 301 IEF237I SOURCEFT UN 100 EURL

SYSOUT

PASSED

PASSED

13 OURATION 0.006 N.OPER= 504 INP=001

E-LEVEL LINKAGE EDITOR OPTIONS SPECIFIED MAP ****RUM DOES NOT EXIST OUT HAS BEEN ADDED TO DATA SET

MODULE MAP

				MUDUI	LE MAP					
CONTROL S	ECTION		ENTRY							
NArtE	ORIGIN	LENGTH	NAME	LOCATION	NAME	LOCATION	NAME	LOCATION	NAME	LOCATION
MAIN=	00	3A064	14 A T NI	00						
ІНСЕСОМН≭	3A063	1000		.90 7 A Č 4 9		24134				
IHCUOPT * IHCTRCH * PLT *	38078 38030 352FS	8 279 446	[DCUM=	58007	F01005=	24124				
DESSIN= *	33740	1350	PLUT	3B2FC	PLTIR	3830A	FINIM	3B 32 8	FINTRA	38346
I⊣CFCVTH≉	3CAF0	107C	DESSIN	38740						
_			ADCON= FCV10	3CAF0 3D0A8	FC V Z O FC V E O	3CC 3C 3D59A	FCVAO FCVCO	3CCE2 3D79C	FCVLO INT6SW	3CD72 3DB51
IHCFIOSH*	30870	DOA	FIOCS=	3DB70						
IHCUATBL# MXMN= *	36880 30688	638 252								
MXMNL= *	3F110	100	MXMN	3EEB8						
SCALE= *	3F2E0	930	MXMNL	3F110						
DXLG= *	3FC70	525	SCALE	3F2E0	DXDY	3F 310				
AXIS= *	40293	836	DXLG	3FC70						
4XL96= *	40400	345	AXIS	40298						
AXCIR= *	41618	7.AC	AXLOG	40AD0						
LINESC= *	41DC8	530	AXCIR	41618						
LIPOSC= *	42378	560	LINESC	41008	DASHSC	41DF8				
NUM6 *	42893	254	LIPOSC	42373	DAPOSC	42343				
HAPOSC= *	42838	360	SNUM	423DC	NUMBER	428E8				
SYMB +	42298	413	MAPOSC	42338						
MARKSC= *	43280	378	CARSP	42000	SYMBL4	42FBA	SYMBOL	42EC6		
THESEUG *	43528	100	MARKSC	43280						
1HCSSCM +	43738	104	AL7G10	43528	ALOG	43644				

NAME	BRIGIN	LENGTH	NAME	LOCATION	NAME	LOCATION	NAME	LOCATION	NAME	LOCATION
61ST #	43840	74	Cas	43738	SIN	43754				
DICEOUSCE	12010	T	GIVE	43346	STORE	43852				
THCENVER*	43888	(ر ز	OVERFL	43888						
CALERR= *	43908	366	CALE2R	43908						
IHCSEXP *	43000	116	SALE: N	43773						
IHCFRXPI*	43E20	94	EXP	43000						
SYMT *	43E88	600	FRXPI=	43E20						
ENTRY ADDRI TOTAL LENG	ESS TH 4	00 44C4	SYMBTB	43EBE						

IEF285I SYSOUT	SYSOUT
IEF285I VOL SER NUS= IEF285I SYS1.FORTLI3	κερτ
IEF2851 VOL SER NOS= EURSY1. IEF2851 GOSET.SPIN	PASSED
IEF2851 VOL SER NUS= EURSY3. TEF2851 AAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAAA	95 DELETED
TEF2851 VOL SER NJS= EURSY2.	DELETED
IEF2851 VOL SER NOS= EURSY1.	0.010 N_{0}
IEF236I ALLOC. FOR SPIN EURX	
HEF2371 FT02F001 UN 190	
IEF237I FT03F001 UN 291 IEF237I FT04F001 JN 390	
IEF237I FT05F001 UN 00C IEF237I FT07F001 UN 00D	
ÎĒF237Ī FT06F001 UN 390 IEF237I FT16F001 UN 280	

NUMBER OF CASES 3 IWRT = 0

	NMKD=	3	10EC= 0	ฟ= 0	•5000E-01	ANINT=	0.1000E-01	LENG	OF Y (CM) =	0.1200E 02			
	INDGR(I)	2	3	Û	0	0	0	0	0	0	0	0	
	NMEK(I)	2	1	ò	0	о	0	0	0	0	0	0	
0.1300E	DHEK(I) 02 0.2500	DE 01	0.5090E 00 0.0	n	0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.0	

MODIFIED ELECTRON SPIN RESONANCE SPECTRUM SIMULATION PROGRAM

MAX/VALUE OF Y1(I) = 0.271997E 00

JART 128 A1 12.30 A2-12.80 I1 2561

	INPUT DATA										÷			
	NMKD=	3	IDEC=	1 א=	: ¢	0.5000E-01	AN INT =	0.1000E-01	LENG O	= Y (CM) =	0 .1200 E 02			
	INDGR(1 1) 2	3		0	ç	0	0	0	0	0	0	0	
	NMEK(I)	2	1		n	ŋ	i)	0	Ó	0	0	0	0	
0.1300E	DHEK(I) 02 0.250	0E 01	0.5000E	00 0.0		0.0	0.0	0.0	0.0	0.0	0.0	0.0	0.	.0

.

i

MODIFIED ELECTRON SPIN RESONANCE SPECTRUM SIMULATION PROGRAM

MAX VALUE OF Y1(I) = 0.345102E 01

JART 128 A1 12.80 A2-12.80 I1 2561

e



MODIFIED ELECTRON SPIN RESONANCE SPECTRUM SIMULATION PROGRAM

MAX VALUE OF Y1(1) = 0.674749E 01

JART 92 A1 9.20 A2 -9.20 II 1841

IEE2851	GOSET.SPIN				PASSED		
16F2851 16F2851	VUL SER NUS= EURSY3, EURSCRO2.SPIN				PASSED		
1EF2851 IEF2851	EURSCRO3.SPIN				PASSED		
15F2851 1EF2851	VUL SER NUS= EURSY2. EURSCR04.SPIN				PASSED		
IEF2951 IEF295I	SYSDUT				SYSOUT		
1562851 IEF2851	VUL SER NUS= •				PASSED		
1EF2851 IEF2851	VUL SER NUS= PUNCHI. FURSCROB.SPIN				PASSED		
	VOL SER NUS= EURSY3. CALCP1				DELETED		
IEF2851 IFF2801 K	VUL SER NUS= CALCPI. 280,CALCPI,SPIN						
EURX IEE2851	GUSET-SPIN	BEG.T.	20,429	DURALLUN	<u>Delet</u> ed	504	INP=001
IEF2851 IEF2851	VOL SER NOS= EURSY3. EURSCR02.SPIN				DELETED		
IEF2851 IEF2851	VOL SER NOS= EURSY1. EURSCRO3.SPIN				DELETED		
IEF285I IFF235I	VOL SER NOS= EURSY2. EURSCK04.SPIN				DELETED		
IEF235I IEF285I	VOL SER NOS= EURSY3. EURSCR03.SPIN				DELETED		
IEF285I SPIN	VOL SER NUS= EURSY3. DATE 63.04.08	BEG.T.	20.412	DURATION	0.031 N.OPER=	504	INP=001

H A S P JOB STATISTICS -- 444 CAROS READ -- 758 LINES PRINTED -- 224 CARDS PUNCHED -- 1.93 MINUTES EXECUTION TIME







Fig. 3. CALCOMP plot of the case discussed in 3.3. Absorption curve



Fig. 4. CALCOMP plot of the case discussed in 3.3. Derivative curve

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Fig. 5. Experimental spectrum of Diphenyl negative ion



Fig. 6. Calculated spectrum of Diphenyl negative ion

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To disseminate knowledge is to disseminate prosperity — I mean general prosperity and not individual riches — and with prosperity disappears the greater part of the evil which is our heritage from darker times.

Alfred Nobel

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