DEVELOPMENT AND ANALYSIS OF LINEAR

RESONANT SCANNER WITH TORSIONAL

MECHANISM

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DEVELOPMENT AND ANALYSIS OF LINEAR RESONANT SCANNER WITH TORSIONAL

MECHANISM

BY

KOAY LOKE KEAN

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DEDICATION

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LIST OF ABBREVIATION

| ABBREVIATION | DESCRIPTION |
|--------------|--|
| AC | Alternating Current |
| ACC | Air Core Coil |
| APA | Amplified Piezoelectric Actuator |
| CCD | Charge-coupled Device |
| CFF | Critical Flicker Frequency |
| СМ | Compliant Mechanism |
| DAQ | Data acquisition system |
| DC | Direct Current |
| DoC | Degree of Constraint |
| DRIE | Deep Reactive Ion Etching |
| FEA | Finite Element Analysis |
| HEL | High Energy Laser System |
| LDR | Light Dependent Resistor, used as the light detection device |
| LED | Light Emitting Diode |
| Lidar | light detection and ranging |
| LOS | Linear Optical Scanner |
| MEMS | Microeletromechanical Systems |
| MFVF | Magnetic Field Viewer Film |
| MRS | Mechanical Resonant Scanner |
| MW | Molecular Weight |
| PCB | Printed Circuit Broad |
| PWM | Pulse Width Modulation |

| PU soft | Polyurethane soft foam | |
|----------|------------------------|--|
| UVA | Ultraviolet A | |
| UVB | Ultraviolet B | |
| VCM | Voice Coil Motor | |
| V_{pp} | Peak-to-peak Voltage | |
| SWG | Standard Wire Gauge | |

LIST OF SYMBOL

SYMBOL DESCRIPTION

- B Flux density
- H Magnetic field
- σ_u Ultimate tensile strength

PEMBANGUNAN DAN ANALISIS PENGIMBAS SALUNAN LELURUS DENGAN MEKANISMA PEGAS KILASAN

ABSTRAK

Saiz cermin yang lebih besar telah digunakan dalam pelbagai teknologi pengimbasan, seperti projektor lonjatan dekat, komunikasi optik ruang bebas dan pengimbas barkod. Pelbagai penyelidikan telah dijalankan pada saiz cermin besar dalam sistem mikroelektromekanikal (MEMS). Sebagai contoh, penyelidikan telah dijalankan pada mikromesin pengimbas polisilikon yang digunakan sebagai pengimbas barkod. Walau bagaimanapun, kelengkungan cermin yang terdapat dalam mikromesin pengimbas polisilikon telah menyebabkan imej terherot. Selain itu, voltan operasi yang tinggi juga menghalang penggunaan pengimbas jenis MEMS dalam aplikasi pegang-tangan. Dalam kajian ini, pengimbas salunan lelurus yang terdiri daripada elektronik dipacu secara salunan dan bermekanisme pegas kilasan dibina untuk aplikasi paparan. Pembangunan pengimbas ini telah telah diklasifikasikan mengikut fungsi komponen, seperti struktur patuhan dan penggerak. Analisis unsur terhingga (FEA) telah digunakan untuk membina pegas kilasan yang terdapat dalam struktur compliant dan analisis pada parameter geometri pegas telah dijalankan. Pegas kilasan optimum dengan paras tegasan terendah telah dipilih sebagai rekabentuk terakhir. Penggerak yang terdiri daripada gegelung berteras angin (ACC) telah digunakan; analisis geometri gegelung telah dijalankan untuk memaksimasikan daya magnetik. ACC dengan panjang minimum, jejari dalam minimum dan jejari luar maksimum telah digunakan. Selain itu, FEA pada pengimbas telah membuktikan bahawa frekuensi salunan, anjakan sudut dan paras tegasan adalah dipengaruhi oleh kedudukan magnet. Selepas pembangunan pengimbas, prestasi pengimbas telah dikaji. Satu model redaman bukan lelurus telah dibuktikan mampu menganalisa dan meramal profil sambutan bebas berdasarkan keputusan eksperimen. Model redaman juga membuktikan bahawa gangguan frekuensi berlaku semasa cagak pada pengimbas berubah. Sambutan frekuensi histeresis pada pengimbas salunan lelurus adalah pertama kali dilaporkan dalam kajian ini. Selain itu, hubungan antara sudut imbasan dan frekuensi bukan sahaja telah digunakan untuk mencapai mekanik gandaan lebih pengunaan hubungan ini juga merupakan temuan baru. Pengimbas bercermin besar ini merupakan pengimbas bermekanisme pegas kilasan pertama yang mencapai sudut imbasan sebesar 87.1°

DEVELOPMENT AND ANALYSIS OF LINEAR RESONANT SCANNER WITH TORSIONAL MECHANISM

ABSTRACT

Large size mirror scanners are needed in several scanning technologies such as, ultra short-throw projector, free-space optical communications and barcode scanner. Several researches on large size mirror in microelectromechanical systems (MEMS) scanner were conducted. For instance, research on micromachined polysilicon microscanners has been performed for barcode scanner. However, the curvature of the microscanners causes image distortion. Furthermore, high operation voltages of the MEMS scanner deter the usage of MEMS scanner in hand-held applications. In this research, a linear resonant scanner consisting of an electronically driven mechanically-resonant torsional spring-mirror system was developed for display applications. The scanner was designed according to the functional components such as compliant structure and actuator. The torsional spring which is the compliant structure was modeled with finite element analysis (FEA) and geometry studies were conducted. The optimized torsional spring with the lowest stress level was selected for the design. The actuator of air core coil (ACC) was used in the scanner; geometry study was used to maximize the magnetic forces of the ACC. The ACC of with minimum length, minimum inner radius and maximum outer radius was used. Besides, experimental analysis and FEA of the scanner showed that resonant frequency, angular displacement and stress level are affected by the magnet position on the suspended plate. After the scanner design, several characteristic studies were conducted. A nonlinear damping model is proven to be able to analyze and predict the free vibration response of the scanner based on experimental results. The damping model is able to accommodate the frequency perturbation which happens when the scanner mounting is changed. The hysterical frequency response on the large scale torsional spring mechanism is first found in this research work. Furthermore, the relationship between scanning angle and driving frequency was employed for extra mechanical gain. The proposed resonant scanner extends the ability of the torsional mechanism scanner for large angular displacement of 87.1° with low voltage input of 5 V.

CHAPTER 1 INTRODUCTION

1.0 Research background

An optical scanner serves as a device to convert the information in a product into a signal. An example of such device is barcode scanner. Conversely, a scanner is also used as a device to construct an image from a series of signal impulses and display them onto a screen. Examples of such device include the projector and laser display scanner. In these ways, the optical scanner becomes an information encoder and decoder, thus serving as the key device for advanced information transfer.

Generally, scanning technology can be separated into two categories: laser scanning and remote sensing. The main difference between laser scanning and remote sensing is that in the laser scanning a laser is employed as the light source. Meanwhile, in remote sensing, the sensing of the light primarily in infrared spectrum from the objects is employed (Leo, 2003). An optical system comprising of mirror and lens to control the laser beam is needed in laser scanning, while remote sensing systems do not required the optical systems when capturing the radiant flux from the objects (Leo, 2003). Table 1.1 shows the applications of laser scanning technology after the arrangement by Leo (2003).

| Image recoding/ printing | Image digitizing | Optical data storage |
|----------------------------|---------------------|----------------------|
| Color image reproduction | Barcode reading | Phototypesetting |
| Medical image recording | Optical inspection | Earth resources |
| Data marking and engraving | Confocal microscopy | recording |
| Micro-image recording | Optical character | Data/image display |
| Robot vision | recognition | Graphic arts camera |
| | Laser radar | Color separation |

Table 1.1: Some applications of laser scanning technology (Leo, 2003)

In laser scanning, various types of tracking and aiming frames and mirrors have been developed to control the laser beam. The aiming frames and mirrors can be generally categorized into two groups - one with rotatable frame and the other with rotatable mirror as shown in Figure 1.1. In a rotatable frame system, the laser mounts on gimbals driven by actuators when tracking and pointing as shown in Figure 1.1. The large inertia of the rotatable frame system results in low bandwidth and slow system response. The rotatable mirror system has been developed to solve these problems (Zhou et al., 2009). In the rotatable mirror system, only the mirror moves, making it much smaller, lighter and therefore faster to respond, greatly increasing the bandwidth of operation.

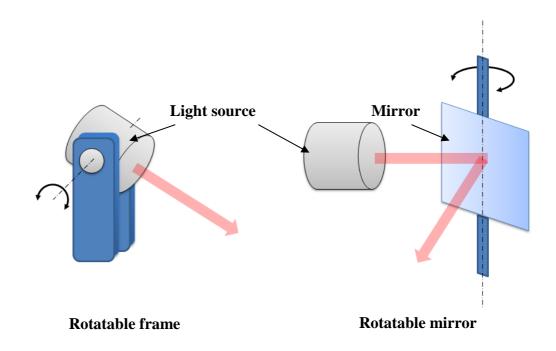


Figure 1.1: Frame forms of tracking and aiming

In the rotatable mirror, the technology is divided into two major groups, namely, 'high inertia' and 'low inertia' (Leo, 2003). The distinction between these scanning technologies is related primarily to the scanning flexibility, i.e. the ability of the scanner to provide repetitive scanning and agile control of the laser beam direction when scanning. There are several advantages of using high inertia scanner such as the ability to provide high regularity scanning, ability to resist instantaneous change in scan speed and to stay in the scan locus when the mirror is oscillated. On the other hand, the low inertia scanner is used for optical scanning applications that require rapid changes in scan speed and high scanning flexibility. The low inertia scanner also enables on-time control and alteration of the scan trajectory path.

The high inertia scanners typically involve motions of significant masses during the oscillation. If the masses are properly balanced, a high inertia scanner can restrain perturbation from the desired scan function. Generally, high inertia scanners can be divided into two families, namely rotational and translational scanners. In the rotational scanners, three different scanners such as polygons, holographic and oscillatory resonant scanner are found. Those rotational scanners can provide highly ordered data point transfer during scanning. On the other hand, the linear translational scanners can provide high accuracy scanning due to the substantive velocities when travelling in a linear path. Kang et al. (2009) presented a linear translational design that consisted of double-compound leaf spring flexure guide mechanisms actuated by voice coil motor (VCM). The results of 10 nm resolution and 2 mm working range confirmed that the translational component can be employed in precision tracking. Since the present work is not using the linear translational scanner due to the fact of the scanner cannot provide the desired motion function, the details discussion of this scanner mechanism has been excluded.

High inertia scanners are suitable for fine resolution scanning, and thus desired scan function can be achieved. Recently, various applications are using the high inertia scanner in their scan functions. For instance, high-energy laser systems (HEL) (Wehr and Lohr, 1999; Marino and Davis, 2005), free-space optical communications (Xiang et al., 2010), light detection and ranging (lidar) (Liu et al., 2011), semiconductor manufacturing and inspection, laser welding, laser cutting of materials (Du et al., 2011; Urey, 2002), optical data storage, information display (Urey, 2002), scanning optical lithography (Dao and Dentamaro, 2003), and various applications in medical and biomedical systems (Cochran and Vassar, 1990).

The most significant development in the high inertia scanner technology is found to be on the oscillatory resonant scanner due to its ability to achieve large angular displacement and to create near-perfect sinusoidal oscillations. The scanner is named as a resonant scanner because it is driven at resonant frequency. A high Qfactor can be obtained when the scanner is actuated at its resonant frequency. Thus, the actuation voltage supplied to the system can be reduced while maintaining the desired large scanning angle. According to Chung and Liang (2011), generally portable devices need low operation power consumption. Therefore, operating the scanner in resonant frequency reduced the power consumption, and thus a portable scanner can be obtained. When the resonant scanner is reflecting light to form a linear scanning line, the resonant scanner is renamed as linear optical scanner (LOS) (Xiang et al., 2010). Throughout this thesis, the term 'linear optical scanner' and 'resonant scanner' are used interchangeably.

Scanners used in the oscillatory resonant system can be categorized according to the size of the scanner that is whether the resonant scanner is built in microelectromechanical systems (MEMS) size or large scale size. The large scale based resonant scanner is usually known as the mechanical resonant scanner (MRS). Generally, MEMS can be defined to be chip level devices (usually smaller than 10 mm) which are fabricated using semiconductor, such as silicon (Madou, 2002; Chellappan et al., 2010).

In spite of the reliability of the MEMS based mirror (in resonant scanner) in many technological niches, large size mirror for deflecting the light beam has also drawn the attention of researchers. For instance, barcode scanner broadly used large size mirror (larger than 100 mm²) for automatic information identification. The use of polygon scanners in barcode systems which consist of large components limit the application in highly portable systems (Yaqoob and Riza, 2004). Recently, large size surface-micromachined polysilicon microscanners have been employed for barcode scanning (Duch et al., 2011). However, the convex curvature of the scanning mirrors limits the performance since the curvature causes image distortion when scanning. Moreover, to create a large size MEMS mirror (around 100 mm² or larger), relatively

large die and expensive dry etching equipment for the silicon fabrication is required, thus increasing the production cost (Sasaki et al., 2010; Asada et al., 2000). As explained, the high voltages (above 30 V) for the operation of MEMS electrostatic scanners also limit the portability of the scanner (Yalcinkaya et al., 2007). Besides the application in the barcode scanner, the mechanical resonant scanners are also found in lidar system design. A large mirror is able to reflect larger light spot diameter since larger area of reflection can be achieved. The mirror is needed due to the capability of offering higher optical transmission efficiency, which means that the scanner will have longer detection distance compared to the MEMS scanner. (Xiang et al., 2010; Mu et al., 2008). Thus, a large scale resonant scanner which is able to produce large scanning angle, with a minimum required resonant frequency of 40 Hz and low power consumption is needed for broader spectrum of applications, such as barcode scanner and ultra-short throw projector.

Although resonant scanners are categorized according to their size, i.e. MEMS and large scale, both types of scanners share the same technologies, such as compliant mechanisms and actuation modes. Compliant mechanisms are mechanical devices that provide smooth and controlled motion guidance of the mirror due to the deformation of the compliant components (Todd et al., 2010; Wang and Tai, 2010). Thus, compliant mechanisms (CMs) are used in the optical scanning applications since they have the ability to provide positioning control. CMs do not require sliding, rolling or other types of contact bearings which are often found in rigid mechanisms and actuators. These characteristics enable CMs to achieve reliable, high performance motion control at low cost (Wang and Tai, 2010). Generally, there are several compliant systems available to actuate the resonant scanner, namely flexure hinge, cantilever spring and torsional spring.

In this work, the torsional spring mechanism is used in the design of the large scale resonant scanner due to the limitations found in the flexure hinge and cantilever spring. The design of resonant scanner consists of flexure hinge that will limit the scanner performance due to the undesired parasitic motion error (Awtar and Sen, 2010). Additionally, the angle of deflection is limited by the high degree of constraint (DoC) in the flexure mechanism. Thus, a large angular displacement is restrained when flexure mechanism is used in the scanner (Jong-kyu and Won-kyu, 2011). In a MEMS cantilever spring mechanism scanner designed by Levy and Maaloum (2002) and the large scale cantilever spring mechanism scanner designed by Kheng et al. (2010), a fine control on the beam reflection for the cantilever spring mechanism cannot be achieved because the bending axis is located far away from the mirror as shown in Figure 1.2. Thus, this reason restrained the application of the cantilever spring in the large scale resonant scanner.

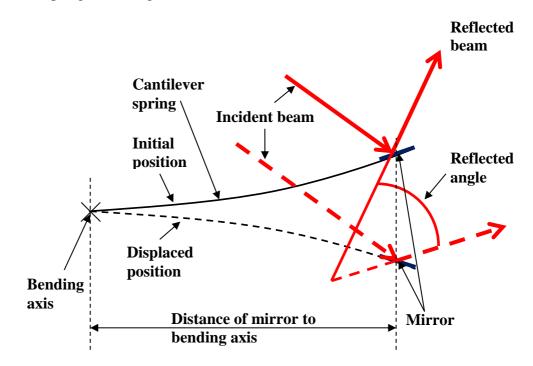


Figure 1.2: Vibration mode of cantilever spring

Various actuators have been designed to actuate the mirror of the resonant scanner. Typically they consist of galvanometric actuator, piezoelectric actuator, or VCM (Xiang et al., 2010). Modern galvanometric positioning actuators work on permanent magnet motor principles (Aylward, 2003). However, galvanometric scanner suffers from some disadvantages, such as high power consumption, and nonlinear distortion caused by the rotational inertia during fast linear scanning (high frequency scanning at uniform scan line and uniform velocity) (Xiang et al., 2010; Qingkun et al., 2008). The piezoelectric effect is employed in scanners that require small displacements with extremely fine resolution (sub-nanometer) or over small travel ranges (several micrometers); the travel range is limited by the dielectric strength and the thickness of the piezoelectric material (Hii et al., 2010). Resonant scanners driven by piezoelectric actuator usually have high resonant frequency, however, they are limited to small deflection angles (Perez-Arancibia et al., 2009). The last compliant structure- VCM can be understood by the components used in traditional electrodynamics loudspeakers, which consist of a coil and a permanent magnet that are joined with the compliant structure. The VCM can deliver large deflection angles and high driving frequency.

According to previous studies, the compliant structure that is commonly used in the design of MEMS resonant scanner is the torsional mechanism. Figure 1.3 shows a MEMS resonant scanner that consists of single crystal silicon. A pair of torsion bar hinges is designed to connect a moving plate to the fixed frame. Then, the moving plate has a driving coil on one surface (backside) and a mirror is attached at the front of the plate (Mu et al., 2008). The torsional spring mechanism plays important role in resonant scanner due to the following advantages:

- To obtain high Q-factor in the oscillation of a resonant scanner, it is desirable to have the torsional mode as the first mode (mode with the lowest frequency) (Urey, 2002).
- If the laser is aimed at the twist axis of the mirror, the incident light impinged and reflected from the mirror is able to maintain at the symmetry axis. Hence, by aiming the laser to the twist axis, fine control of the scanning line can be achieved.
- The torsional spring also helps to reduce power consumption due to the inherent restoring force.

Although the MEMS and large scale scanners share the same technology in compliant structure and actuators, the use of torsional spring mechanism and VCM in the large scale resonant scanner for large size mirror and large scanning angle has not been investigated in the past. Thus, the investigation on the design for torsional spring mechanism and VCM is necessary in this research work.

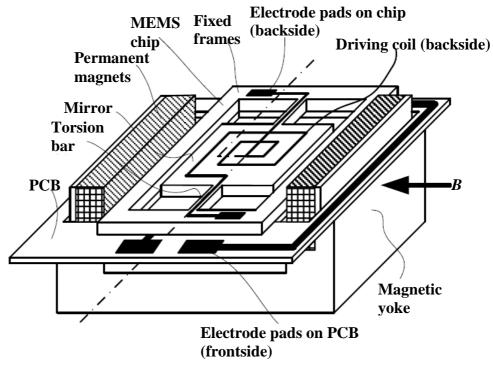


Figure 1.3: Typical MEMS torsional scanner (Mu et al., 2008)

Besides the design of the complaint structure and the VCM, damping characteristic of the scanner was presented in this research work because damping is one of the limiting factors for the reachable maximum scanning angle. The study of damping characteristic becomes an important issue in the context of resonant scanner. Hao et al. (2002) presented a mathematical model to predict the squeeze-film damping effect in a MEMS 2D tilt mirror. Jana and Raman (2010) studied the characteristic of surrounding fluid on a micro-resonant scanner based on Reynolds equations and concluded that viscous damping is an essential damping model in torsional scanner. In these papers, the authors only concentrated on the squeeze-film damping effect that occurs at close proximity gaps found in MEMS resonant scanner. Hence, the damping study on the large scale resonant scanner has yet to be carried out. Furthermore, the presence of viscous damping in large scale resonant scanner is not well explored in these papers. Also, the damping effect considered in those studies is constrained only at the equilibrium position, which is amplitude independent study. Finally, the nonlinearities in damping behavior have been neglected. Hence, the characteristic study of the damping behavior of the large scale resonant scanner is necessary.

The resonant behavior of linear optical scanner is a very useful dynamic characteristic for maximizing the scanning angle (Wang et al., 2007). For instance, the scanning angle of the torsional spring scanner and the cantilever spring scanner (Kheng et al., 2010) are significantly increased when actuated at the resonant frequency. However, the resonant frequency of large scale resonant scanners can vary due to the following factors:

- The scanner's resonant frequency is very sensitive to the manufacturing variation, such as the inconsistency of product dimensions and the mass variation (Liu et al., 1997; Cole and Ahn, 2002).
- Although the larger inertia large scale resonant scanner are inherently resistant to the frequency perturbation, the resonance behavior for the large scale resonant scanners experiences minor frequency variation due to the environmental conditions (Perez-Arancibia et al., 2009; Orzechowski et al., 2008).
- The resonant frequency will also vary in time due to the fatigue effect, whereby the resonant frequency decreases when crack propagation occurs (Kheng et al., 2010).
- The resonant frequency of a scanner will also vary under different operating conditions such as driving voltages and inductance voltages (Kaajakari et al., 2005; Anac and Basdogan, 2008).

The phenomenon of frequency variation poses critical performance limitations, and even small variation in scanning angle often produces significant deviation due to the amplification by the optical path length (throw distance) (Qingkun et al., 2008). Therefore, it is necessary to tune the driving frequency of the actuator due to the frequency variation.

The torsional resonant scanner exhibits an interesting dynamic behavior, namely hysterical frequency response. When the driving frequency of the actuator is increased from lower frequency to a higher frequency (swept up), the scanning angle obtained will be several times larger than that of the swept down from the higher frequency to the lower frequency. This dynamic characteristic (hysterical frequency response) has been studied for torsional MEMS resonant scanner since 1998 (Turner et al., 1998). However, the effect between the hysterical frequencies on the scanning

angle for large scale torsional scanner has not been reported to date. Hence, it is desirable to study on the variation of scanning angle for large scale torsional resonant scanner when the drive frequency is swept up or swept down.

1.1 Problem statement

One of the goals that optical researchers are currently pursuing is to design a resonant scanner that has large-size mirror, large scanning angle and low power consumption for portable applications such as barcode scanner, lidar and many others. The existing polygon scanner plays an important role in barcode scanning. However, the bulky mirror and discontinuity in the scanning mirror limits the scanner performance. In the previous work presented by Kheng et al. (2010), a cantilever spring mechanism large size linear optical scanner (LOS) was proposed. However, the bending mode of the spring oscillation cannot provide a constant locus for laser aiming because the bending axis is located behind the mirror. Thus, timing control on the scan line cannot be achieved. In view of that, a novel large size torsional resonant scanner is needed to be developed.

Recently, the damping behavior of the MEMS linear optical scanner (LOS) has been studied by researchers especially on the squeeze-film damping effect. However, the presence of viscous damping in the large size torsional scanner is assumed to be insignificant. Also, they concentrated only on the damping effect at the equilibrium position which consists of a non-amplitude dependent study and the nonlinearities damping behavior are ignored in their studies. To counter this limitation, a study to find the dependency of viscous damping on scanning angle in a large size torsional resonant scanner based on the free response profile of LOS is desired. In the real world, environmental perturbation will contribute to damping

variation of the LOS. Therefore, the investigation on the effects of pressure variations and various couplings for the LOS to the damping behavior of LOS is necessary. Also, a nonlinear damping ratio study is needed to understand the dynamic behavior of the LOS.

The determination of the resonant frequency for scanners has drawn the attention of researchers since operating the scanners at resonant frequency will provide maximum scanning angle and reduce the power consumption. Previously, the study on MEMS torsional resonant scanners was the main thrust in optical systems. Therefore, the tracking of resonant frequency for large size torsional resonant scanner was not reported to date. Besides, the hysterical frequency response on the large size torsional resonant scanner was also neglected. Thus, a detailed study of the frequency responses of the large size torsional resonant scanner is necessary for attaining maximum scanning angle.

1.2 Objectives

The main objectives of this research are as follows:

- To design and develop a large size torsional spring mechanism based on resonant scanner that can provide the required minimum resonant frequency (above 40 Hz).
- To investigate the electromagnetic characteristics of the voice coil motor in the resonant scanner for various magnet positions.
- To characterize the damping behavior of the large size torsional spring mechanism resonant scanner based on the nonlinear damping ratio model.

- To design test algorithms of the controller for resonant frequency tracking and analyze the hysterical frequency response of the large size torsional spring mechanism resonant scanner for maximum scanning angle.
- To verify the performance of the large size resonant scanner under frequency perturbation.

1.3 Scope of study

This research work involves the design, improvement, and evaluation of a scanner based on the resonant frequency, scanning angle, power consumption, and the consistency interval for the images. The consistency of the images is obtained based on the length measurement of each scanning line. However, a specific application of this scanner will not be included, since the objective of this research work is merely constrained to the development and analysis of the novel large scale resonant scanner.

The linear optical scanner (LOS) design requirements contradict each other. For instance, to increase the resonant frequency the stiffness of torsional spring meeds to be increased. However, increasing the stiffness of the torsional spring will lead to a decrease in the scanning angle, and thus decreasing the LOS performance. Conversely, in order to increase the scanning angle, the stiffness of the torsional spring needs to be decreased. To maximize the scanning angle, the magnetic forces produced from the VCM should be increased, but this would increase the power consumption. Thus, it is a challenge to find a compromise among the design requirements.

The mechanical design studies were only conducted on the optical systems (torsional spring, suspended plate and magnet position) of the LOS. However, the

holding structure (holder) was ignored due to the assumption of high rigidity of the structure in comparison to the optical systems.

Since the aim of this research work involved the design of large scale torsional spring mechanism resonant scanner, an overall study on mechanical design, damping characteristic, electromagnetic study, and rule-based control design were conducted merely for the performance testing. This research work involves several fields of studies, thus the depth of study on each field is merely confined to the large scale torsional spring mechanism resonant scanner.

1.4 Thesis outline

The thesis is arranged as follows. Chapter 1 described the introduction of the research, problem statement and objectives. The linear optical scanners in the published literatures as well as the commercially available scanners are reviewed in Chapter 2 according to the functional components: compliant mechanisms, actuators and controller. The advantages and limitations of the available scanners are discussed in detail.

The chapters are arranged according to the functional components design except Chapter 5 which presents the study on the damping characteristic. In Chapter 3, a study on the geometry of the compliant mechanism (torsional spring) is described. The dimensions of the torsional spring: width, length, and thickness are optimized using finite element analysis (FEA) to find the relationship among the design requirements. Then, an experimental validation is performed based on the resonant frequency of the linear optical scanner (LOS). The main aim of this chapter is to determine the dimensions of the torsional spring that can provide a reasonable life span while attaining the design requirements. To increase the angular displacement of the LOS, the magnetic forces produced from the VCM must be maximized. Thus, VCM development and the effect of magnet position on the LOS are presented in Chapter 4. An analytical study was conducted on the relationship between magnetic forces and magnet to coil distance which was presented in Chapter 4 as well. Several VCMs were fabricated based on the number of coil turning and various coil dimensions for analytical-experimental validation. Then, a voice coil motor which has maximum magnetic force was selected as the actuator for the linear optical scanner.

To investigate the damping characteristic of the linear optical scanner (LOS), a nonlinear damping ratio model is discussed in Chapter 5. The model is able to predict the variation of angular displacement at the free response profile of LOS. Several operating conditions are proposed for experimental testing and validation. Thus, the relationship between the damping behavior and the scanning angle was obtained. In Chapter 6, the testing algorithms of the LOS are presented. Several algorithms were developed for the resonant frequency tracking and hysterical frequency response tracking. The free response profile of the LOS is employed for the resonant frequency tracking algorithm, where the period of the free underdamped vibration is recorded with interruption function. Performance testing on the constant scanning line and the ability of the resonant frequency tracking are described in Chapter 6 as well. Meanwhile, the results and discussion of each chapter have been embedded within each chapter. A summary of individual chapter will be presented in each chapter as well. Therefore, a chapter that presents the detailed results and discussion will not be presented. However, the conclusions of the research are drawn in Chapter 7. Recommendation and suggestions are provided for future work in the same chapter.

CHAPTER 2 LITERATURE REVIEW

2.0 Introduction

To illustrate the overview of this chapter, a tree diagram is shown in Figure 2.1. Literature survey on the linear optical scanner (LOS) with emphasis on the functional components of scanner will be presented according to the associated actuation principles, compliant structure, control system and damping characteristics. However, before discussing the linear optical scanner according to the functional components, a concise overview of the scanner technology is presented.

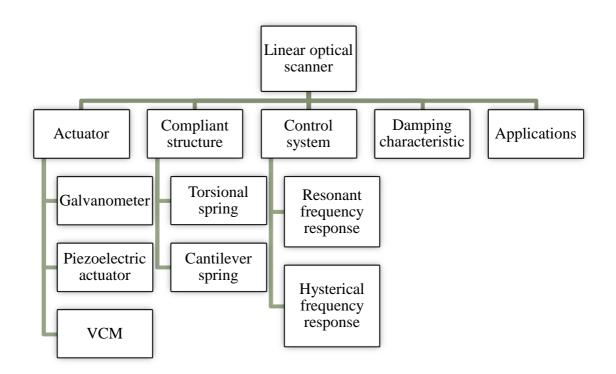


Figure 2.1: Overview of literature review

Various designs and practices that have been researched upon and developed in the past for the linear optical scanner (LOS) are reviewed in this chapter. Since the review is separated according to the functional components, the advantages and the disadvantages of each component will be discussed. Special attention will be given to recently published research works which are relevant to the LOSs.

2.1 Overview of optical scanning technology

According to the classification carried out by Leo (2003), oscillatory resonant scanners are grouped into high inertia rotational scanners, which is in the same domain as the rotational polygonal scanners and holographic scanners as shown in Figure 2.2. Oscillatory resonant scanner is catogarized in this group because of the unique characteristic of showing the high inertia scanning properties although the rotor in the resonant scanner may actually consists of low moment of inertia structures. Typically, high-inertia scanning should involve significant mass motion. However, when actuated at resonant frequency, the resonant scanner provide the behavior of disallowing rapid stop or alteration in the frequency and motion, unless environment perturbations are imposed (Orzechowski et al., 2008). Thus, the resonant scanner is catogorized under the mentioned group: high inertia rotational scanner.

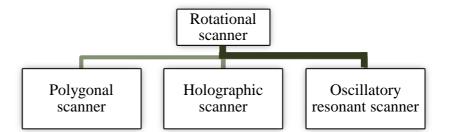


Figure 2.2: Classification of rotational scanner (Leo, 2003)

2.1.1 Polygonal scanner

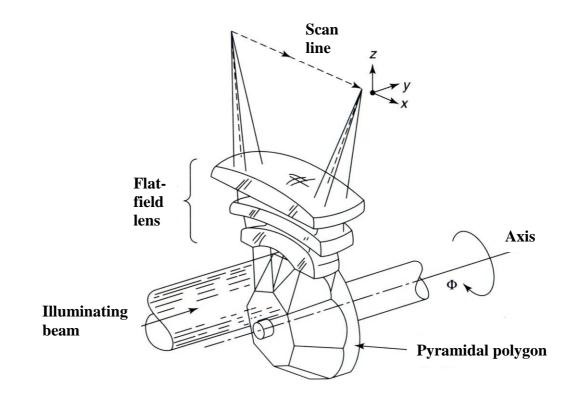
Polygonal scanner uses a rotating polygon mirror accompanied by the external focused light source such as laser for scanning application (Yasseen et al.,

1999; Kim et al., 2008). Rotating polygonal scanner can be classified into two main configurations: pyramidal polygon and prismatic polygon as shown in Figure 2.3. The pyramidal polygon reflects the incident light beam (laser) which is parallel to the rotating axis. The pyramidal polygon scanners operate in radial symmetry and reflect the laser though a scanning angle which is same as mechanical angular displacement of the rotating mirror as shown in Figure 2.3. Thus, the magnification factor of the mirror reflection is 1 for pyramidal polygon. The prismatic polygon scanner has a magnification factor of 2, since the scanning angle obtained is twice of the mechanical angular displacement when the laser is illuminated in the same x-z plane as shown in Figure 2.3 (Leo, 2003).

Polygonal scanners are used in diverse areas of light dispersion application, such as barcode reading, image digitization, printing, data storage, confocal microscopy, and manufacturing quality inspection. The polygonal scanners are able to provide a high scanning angle (up to 110°) depending on the number of facets employed (Yasseen et al., 1999). The scanners offer high duty cycle (time efficiency) for the scanning process especially for the monogon scanner (Leo, 2003). The lower numbers of the facets give higher duty cycle. The duty cycle η can be defined as the ratio of the active portion to the full scan period, and can be expressed as (Leo, 2003),

$$\eta = 1 - \frac{\tau}{T} \tag{2.1}$$

where, τ is the blanking time and *T* is the full scan period.



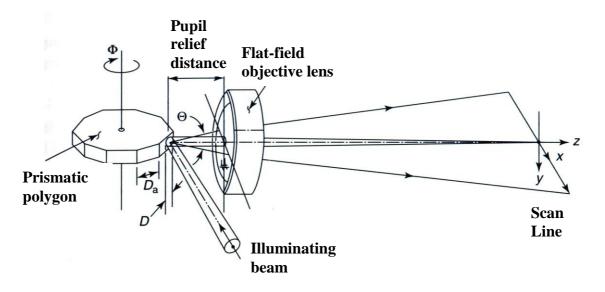


Figure 2.3: Pyramidal polygon and prismatic polygon (Leo, 2003)

However, when the number of facets (mirrors) of the polygon increases, the number of straddle mirrors increases. Thus, the portions of the active scanning period are reduced over the full scan period due to the scan discontinuities (Aylward, 2003). In other words, the connection lines among the mirror increases when the number of facet increases. Once the light beam (laser) is aimed on the connection lines, the reflected beam is diffused instead of reflected, and thus the active scanning period decreases. Another concern of using the polygonal scanners are these scanners create abnormal noise and vibration due to the mechanical contact between the rotating shaft and the stationary sleeve (Kim et al., 2008). Jung et al. (2009) developed a finite element method for the polygonal scanner to study the flexibility of rotation. They studied the mechanical resonant vibration due to the mass imbalance when rotation. In most of the past works the researchers studied only the causes for the mechanical vibration. However, to date, the presence of noise and vibration has not been solved completely in high speed scanning applications (Jung et al., 2011). The detailed study on the presence of noise and vibration for the polygonal scanner is not included since the polygonal scanner is not used in this research work.

2.1.2 Holographic scanner

Since holographic scanners are categorized under the same group with the polygonal scanners, they share some similar operation disciplines, such as the holographic components are rotated about an axis as shown in Figure 2.4. In short, the polygon mirror of the polygonal scanner is replaced by a holographic deflector (Rowe, 1997). The holographic deflector consists of an array of diffractive elements disposed about the periphery of a substrate, to serve as transmissive or reflective facets (Leo, 2003). The holographic element materials can be divided into three large groups according to their applications: holographic emulsions, dichromated gelatins, and photoactive polymers (Blaya et al., 2001). After the invention of holography by Gabor (1948), the holography technology plays crucial roles in many applications. For example, holographic optical elements, scanners, optical disc systems, optical computing, holographic displays and integrated optics have been developed.

However, there are some advantages and limitations of using holographic scanners for imaging or scanning in comparison with polygonal scanners.

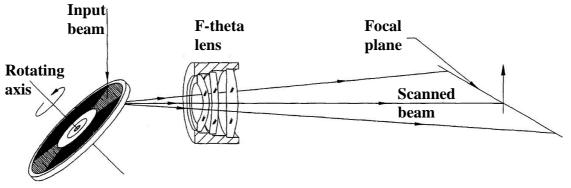




Figure 2.4: Typical holographic scanner (Rowe, 1997)

The scanning discontinuities found in polygonal scanners can be eliminated with the replacement of polygon mirrors with the holographic deflector since the mirror connection lines are eliminated. The aerodynamic loading and the windage can be reduced by the holographic deflector which provides smooth substrate surface (Rowe, 1997). When operating the facets in the Bragg regime, beam misplacement due to the shaft wobble can be reduced significantly. Bragg regime is defined to be a regime where the transmitted waves and diffracted waves are present simultaneously when the diffractive substance is illuminated with a focused light (Moharam et al., 1980; Liu et al., 2011).

Although the holographic scanners are able to provide various advantages, but the design, fabrication, and testing requires unique technical discipline (Leo, 2003; Bhatt et al., 2008). Thus, holographic scanners often incurred significant design investment. The f-theta lens assembly found in holographic scanners is often the most expensive component in the holographic scanners. Thus, a curve mirror was introduced as a replacement of f-theta lens in order to reduce the cost of fabrication (Rowe, 1997). However, if the f-theta lens is replaced, the scanner will lose the functionality of the f-theta lens in line bow correction, field flattening, and linearity correction (Leo, 2003). Therefore, the performance will deteriorate with the replacement of curve mirror in holographic scanners. Since the holographic scanners are based on the diffraction concept, the transmission efficiency is lower compared to reflector based scanner. Hence, the holographic scanners often have shorter detection distance in comparison with the reflector based scanner (Xiang et al., 2010).

2.1.3 Oscillatory resonant scanner

The scanning non-uniformities arising from the rotating polygon mirrors and the low duty cycle of the holographic deflectors can be eliminated by the replacement of one facet (mirror). Oscillatory (vibrational) scanners involve the changing of multiple mirror into single mirror as shown in Figure 2.5 (Leo, 2003). The mirror of the oscillatory resonant scanner is mounted in the position coincident with the rotating axis as shown in Figure 2.5(b). With this orientation, the plane of the input and output incident light beam is positioned in the perpendicular configuration to the oscillating axis. When the incident light is aimed at the oscillating axis, the scanning angle obtained is twice that of the mechanical angular displacement (magnification factor of 2). Since the mirror is oscillated instead of rotated through a full cycle, the blanking time can be eliminated, and thus continuity in scanning and high duty cycle can be obtained. Although the inertia of the facet is low, allowing high cyclic rates, but the resonant scanner allows no random access on the oscillating displacement. Thus, fine control can be obtained on the sinusoidal displacement profile for the scanner (Leo, 2003). Typically, there are several types of oscillatory resonant scanners that are commonly found in the literatures. They include galvanometric (Aylward, 2003), resonant scanners, and piezoelectrically driven mirror transducers (Perez-Arancibia et al., 2009). Although the resonant scanner can be divided into two major groups according to the size of the scanner (MEMS or large scale), the main differences between these oscillatory resonant scanners are the actuation modes used and the compliant structures in actuating the mirror. Therefore, in the following paragraphs the literature is reviewed according to functional components comprising actuator, compliant mechanism and control system of the scanner.

Apart from those functional components, the damping characteristic studies performed by researchers will be discussed after these reviews. The damping characteristic is a significant limiting factor on the scanning angle of the scanner, and thus it becomes a crucial element in scanner performance studies. To achieve the resonant frequency, each of these scanners must be controlled by a testing algorithm. The testing algorithm will ensure that the driving frequency of the actuators is maintained at the changed resonant frequency when frequency perturbations are imposed. Thus, a review on the characteristic of the resonant frequency including the hysterical frequency response of the torsional scanner will be discussed as well. Then, the applications of LOS will be presented in the last section of this chapter.