

Multi-Connected Ontologies

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Abstract – Ontologies have been used for the purpose of bringing system and consistency to subject and knowledge areas. We present a criticism of the present mathematical structure of ontologies and indicate that they are not sufficient in their present form to represent the many different valid expressions of a subject knowledge domain. We propose an alternative structure for ontologies based on a richer multi connected complex network which contains the present ontology structure as a projection. We demonstrate how this new multi connected ontology should be represented as an asymmetric probability matrix.

Keywords – *adaption; semantic; taxonomy; ontology; anthology.*

I. INTRODUCTION

A. The present state of ontologies

There has been exceptional growth in the annotation of information prompted by the increasing need to share data and study objects based on their structure and semantics. [1] We now find annotated information in a wide range of areas such as language, biology, computing, medicine, web content, etc. Annotated information is created from structured vocabularies known as ontologies. Many disciplines have now developed their own standardized ontologies to enable the sharing of information in their fields. SNOMED, for instance has been produced in the field of medicine, [2] as well as many others which are now being referenced. [3]

Ontology defines a common vocabulary for researchers who need to share information in a domain. Many subject areas are now developing ontologies so that specialists can share information in their fields not only with other specialists but even with machines. [4] Machine-interpretable definitions of basic concepts in the domain and relations among them enable the widespread use of information on the internet and the construction of expert systems.

An ontology uses relationships to organize concepts into hierarchies or subject domains. [3] This paper investigates the present structure of ontologies and whether they are applicable to describing subject domains in their present form. The basic problem we consider is whether the present structure of ontologies is rich enough to represent subject domains fully. We contend that the concept of ontologies needs to be extended in order to fully realise a complete subject domain and we indicate ways in which this extension might be approached

B. Critique of Ontologies

Our approach to ontology structure originates with the ideas of the German philosopher Martin Heidegger (1889 – 1976). Heidegger was critical of a one-dimensional division of the world into simplistic categories. According to Heidegger, “*The philosophical tradition has misunderstood human experience by imposing a subject-object schema upon it.*” [5]

Heidegger gives the example of a hammer which cannot be represented just by its physical features and functions. To understand the hammer you cannot detach it from its relationship to the nails, to the anvil, to the wood, to the experience and skill of the carpenter or to a hundred other things. Just putting it in a category of tools, in an ontology cannot fully capture the human idea of the object and its role in the world. A more complex structure is needed to capture the representation of reality. [5]

Robert Pirsig [6] has also made the point that there always appears more than one workable hypothesis to explain a given phenomenon, and that the number of possible hypotheses appears unlimited. He has developed the idea that there are two types of thinking, the classical and the romantic. The classical way of thinking is characterised by analysing things into their component parts, whereas the romantic sees things as a whole. Classical thought would analyse an object like a motorbike into its physical components; nuts bolts etc. but you can also analyse the motor bike into its functional parts: heat exchanger, generator, exhaust system etc. Pirsig points out that each analysis is equally valid but produces different results. It depends on how you wield the knife of analysis to separate part from part. For example if you take a cylindrical chunk of clay you can cut it straight down and the product is circles, but if you decide to cut at an angle the result is ellipses, if you cut horizontally you obtain rectangles. The result of any analysis is also the product of what you decide to do and how you decide to cut, as much as it is a product of the artefact you are looking at. No analysis is unique.

This directly affects the construction of ontologies as these are the results of detailed analysis of a subject area. Since different analyses lead to different ontologies and each may be equally valid, it has become necessary to agree on a convention as to what the structure of any given ontology may be and this agreement by subject experts is the method chosen to determine an agreed ontology. But, we contend here that agreement by convention on the structure of a subject ontology is not

sufficient, as there are intrinsic differences between representations which cannot be reconciled because the subject domain is richer than any single ontology can capture. Different ontologies result from the way the knife of analysis has been wielded as much as from the subject area itself.

David Bohm in his book *Wholeness and the Implicate Order* [7] presents a critique of the fragmentation that classical thought has introduced into our description of the world. He says that it has always been necessary and appropriate to divide things up and separate them in order to reduce problems to manageable proportions but in so doing we lose sight of the whole. In dividing things up we make the mistake of thinking that the fragments we produce are a proper description of the world as it is. The problem is that there are many different ways of thinking about something and of categorising concepts and ideas. And no one way is better than another. He uses the field of quantum mechanics to illustrate this with its wave picture and particle picture of reality which are at the same time incompatible and indivisible. *“All our different ways of thinking are to be considered as different ways of looking at the one reality”* says Bohm. [7] Each view gives only one appearance of the object in some respect. *“The whole object is not perceived in any one view but rather it is grasped only implicitly as that single reality which is shown in all these views.”* [7]

This has direct application to the way we use ontologies. These are constructed on the premise that in order to communicate about a particular subject domain unambiguously we need to have an agreed reference point, the ontology, which fixes precisely and unambiguously the component of the subject domain and its fixed relationships to other points. What Heidegger, Pirsig and Bohm are telling us is that this approach may be wrong from the outset and ultimately unachievable in the long term. A single ontology to describe the whole of reality is not something that exists. Rather many incompatible ontologies will exist that are equally valid descriptions of reality. And merely agreeing on one of them for the sake of convention will not enable a full picture of the reality to be represented. What is needed is a larger concept which contains all possible ontologies in a single undivided structure implicitly and from which they can be explicated. We can liken the new structure to a three dimensional object that casts different shadows depending on which way the light falls and each shadow represents the ontology while the object is the reality.

II. A NEW APPROACH TO CONSTRUCTING ONTOLOGIES

We propose to adopt a new approach to describing knowledge systems based on the idea that there is no one correct method of organising a subject domain in an ontology but rather there are many different ontology structures that adequately and correctly represent a body of knowledge. Each ontology gives only one appearance of the subject in some particular respect.

C. Taxonomy, Ontology or Anthology?

We will use a particular example throughout this paper in order to illustrate the extension to ontologies. However, it should be clear that the approach we employ is applicable to both ontologies and taxonomies. There is debate as to the precise relationship between ontologies and taxonomies while the distinction between an ontology and a taxonomy is often blurred. [8]. We use here the distinction that a taxonomy is a hierarchical structure to classify information in a subject domain while an ontology is a hierarchical structure which in addition assigns and defines properties and relationships between concepts. An ontology is a richer structure than a taxonomy describing all aspects of the world and its parts [9]. Very simple ontologies would reduce down to a taxonomy in practice. Consequently whatever is true of a taxonomy is also true of an ontology, since an ontology is a taxonomy plus extra information, however the reverse is not the case.

In addition to taxonomies and ontologies we include also anthologies [10] which are collections of information arranged in a hierarchical order. The following example may help to illustrate the difference.

TAXONOMY: Cats

Broader term: Pets

Narrower term: tabby cat, black cat, kitten

Related term: Dogs

ONTOLOGY: Cats

LivesIn: House

Chases: Mice

Eats: Fish, Rats

Colours: Black, White, Ginger, Tabby

ANTHOLOGY: Cats

History of Cats

 Egyptian Cats [including information]

 Persian Cats [including information]

How to Breed Cats

 Types of Breed [including information]

Looking after Cats

The anthology should be understood as also containing the information for each section along with the headings. The data in each section can take the form of text, as may be found in a textbook, or a media file, video presentation etc., where the content that is stored is useful for teaching or other purposes.

Thus we see taxonomies as a subset of ontologies and ontologies as a subset of anthologies; see Fig. 1.

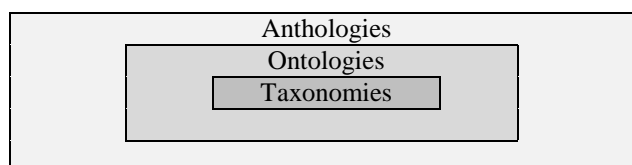


Figure 1: Relationship of Taxonomies, Ontologies and Anthologies

Our discussion of ontologies will apply also to taxonomies and anthologies as the extension is based on the network structure that is common to all. We will for the sake of this paper take as an example an anthology which is a collection of information such as may be seen in the contents page of a textbook which is organized in taxonomic form and contains subject knowledge of a richness which brings it into the definition of an ontology. The addition of information of the subject domain will further extend this to an anthology which contains content that is suitable for teaching. For the sake of convenience and familiarity we will refer to ontologies throughout the remainder of this paper but the reader should understand that our example and procedures are applicable to taxonomies, ontologies and anthologies equally.

We will consequently seek to develop an approach to multi-ontologies and suggest a way in which they can be connected together in to a larger multi connected ontology. We will consider four stages in the systematization of any knowledge system.

- Stage 1 Introducing Order
- Stage 2 Introducing Coherence
- Stage 3 Introducing Proximity
- Stage 4 Introducing Co-Requisites and Pre-Requisites

These four stages will lead to a larger concept for ontologies that encompass the present understanding of ontologies as a subset.

III. STAGE 1 INTRODUCING ORDER

Ontologies specify the structure and relationships within a body of knowledge. Usually ontologies are represented as knowledge hierarchies with the most general concepts at the top and more detailed and specific concepts at lower levels. [11] Thus, a body of knowledge is divided into sections, sub-sections, sub-sub-sections etc.

The structure of these knowledge hierarchies is naturally representable as networks, where each node on the network represents a unit of knowledge and where the relationship of each part to every other is determined and specified within the ontology. An ontology can be represented as a tree network where there is a maximum of one path between any two nodes. [12] [13]

We may adopt an addressing system which corresponds to this knowledge hierarchy where each address is correspondingly specified by sections, sub-sections, sub-sub-sections, etc.; see Fig. 2

The advantage of the simple tree model is that the number of hops from the root provides the level of the node. The disadvantage is that the structure does not contain the ordering of the concepts.

However, because of the hierarchical nature of sections, subsection etc, the ontology has an implicit

ordering. The structure of an ontology is built up from fragments of knowledge which have an order determined by their pre-requisites. Consequently, the simple tree depicted in Fig. 2 is not sufficient to model this structure as it lacks the necessary order. We use an ordered tree for this description where the branches from each node are ordered so that the sub-nodes have an order of preference. [14]

Principle 1: Simple ontologies are to be represented mathematically as an ordered tree

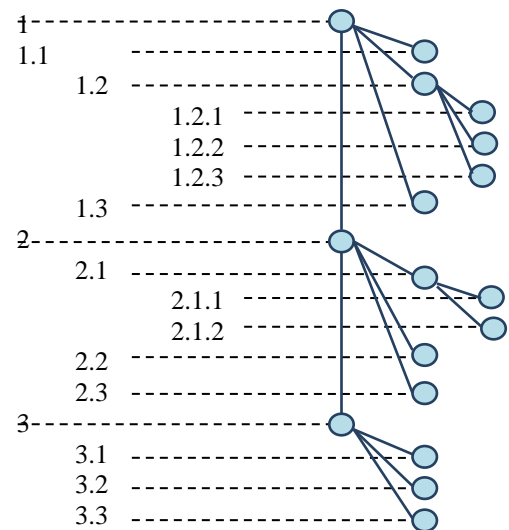


Figure 2: Knowledge hierarchy corresponding to an unordered tree

The ordered tree network is distinguished by

1. there is a maximum of one route from any node to any other node
2. Branches from any given node have an implicit order.

These two properties ensure that the ordered tree network has the necessary properties to represent simple knowledge categorisation and sub-categorisation within an ontology. This structure will also enable a wide variety of knowledge maps to be represented. [15]

IV. STAGE 2 INTRODUCING COHERENCE

We start with the recognition that no one ontology is the correct or the ultimate expression of a subject domain and accept that there are many different ontologies which all adequately represent the knowledge area from different points of view. This is a significant departure from the present understanding of ontologies and we therefore present it as our next principle.

Principle 2: The same structure can be analysed in different ways if it is complex enough

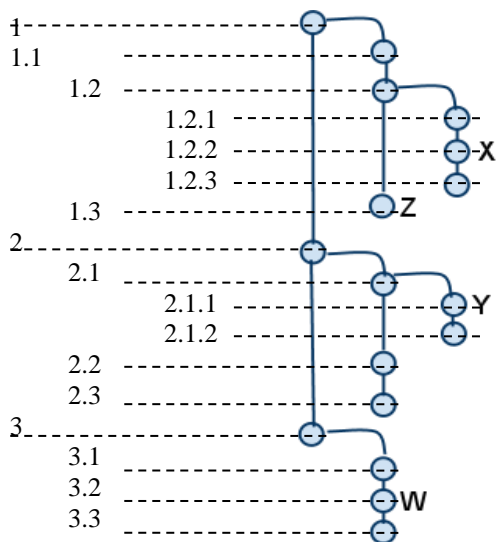


Figure 3: Knowledge hierarchy corresponding to an ordered tree

We next recognise that all these different ontologies are ordered trees which mathematically can be combined into a more complex network containing each of them as a sub network. We therefore introduce a multi connected ontology represented by a mesh network containing multi-connected pathways between nodes. This extends the model for the ontology from that of a tree to a mesh network.

Using Bohm's terminology we would say that the multi connected ontology is the implicate order while a particular decomposition ontology is the explicate order. [7] That means that starting from a larger mesh network we can generate an ordered tree by breaking certain connections in the complex structure effectively decomposing it into a simpler ordered tree. In this way the implicate order of the multi connected ontology becomes the explicate order of the simple ontology or the ordered tree. The breaking of different links in the multi connected ontology will produce a different ontology. [16]

Principle 3: A multi connected ontology can be decomposed into at least one simple ordered tree

Principle 4: Different decompositions produce different but equally valid ontologies

In this way you can unloose or break certain connections in a full multi-connected network which will lead to one decomposition that produces a certain ontology, while another method of breaking connections will lead to another decomposition and a different ontology of the same reality.

Links can be variable because different items of knowledge can be linked together in different ways. What doesn't vary is the items of knowledge themselves. The content of the knowledge must remain invariant but one

item can precede another or follow another depending on presentation and other factors.

At a lower level each knowledge item or ontology node may be explained in many different ways. For instance binary arithmetic can be introduced in a variety of ways, but whichever way is chosen it is still teaching the same thing. That is because the content has not varied and the content is determined by the nodes. What is determined by the links is the presentation. Links within ontologies represent the way of explaining the knowledge or packaging the knowledge for student consumption or opening up the subject. All this information is contained in the links. One tutor may adopt a different approach to another by which we mean he will present the nodes in a different order. So each node has a different number of presentations but the content is the same. This is the basic difference between knowledge and education. Knowledge of a subject is the acquisition of a node but the node can be delivered in many different ways and the delivery is concerned with education.

The same relation exists between teaching and learning. Learning is fixed on the acquisition of knowledge nodes, while teaching is involved in the arrangement of the knowledge nodes in a form the tutor presents them. Each tutor may be different and present the knowledge in a different way – yet they are all teaching the same knowledge.

Each presentation may be different and based on different learning styles or learning needs. There may be different degrees of information required where the weak student needs a lot of information and the strong student needs very little. This will define the difference between weak and strong in the student model.

Decompositions

We can formally express decompositions using the adjacency matrix. Let M_{ij} be the adjacency matrix of the multi-connected ontology and let O_{ij} be the particular decomposition tree ontology. Then

$$X_{ij} M_{ij} = O_{ij}$$

where X_{ij} is the decomposition operator. In effect X_{ij} takes the multi-connected M_{ij} into a specific tree O_{ij} which represents the structure and organisation of the knowledge as presented by a particular tutor for a particular student at a particular time with a particular level of subject knowledge. X_{ij} is thus a function of all these parameters.

X_{ij} exists only if M_{ij}^{-1} exists since:

$$X_{ij} M_{ij} M_{ij}^{-1} = O_{ij} M_{ij}^{-1}$$

$$X_{ij} = O_{ij} M_{ij}^{-1}$$

Maximally connected networks (where all nodes are connected to all other nodes) have a simple adjacency matrix K_{ij} in which every component is equal to 1 except for the diagonal components which are equal to 0.

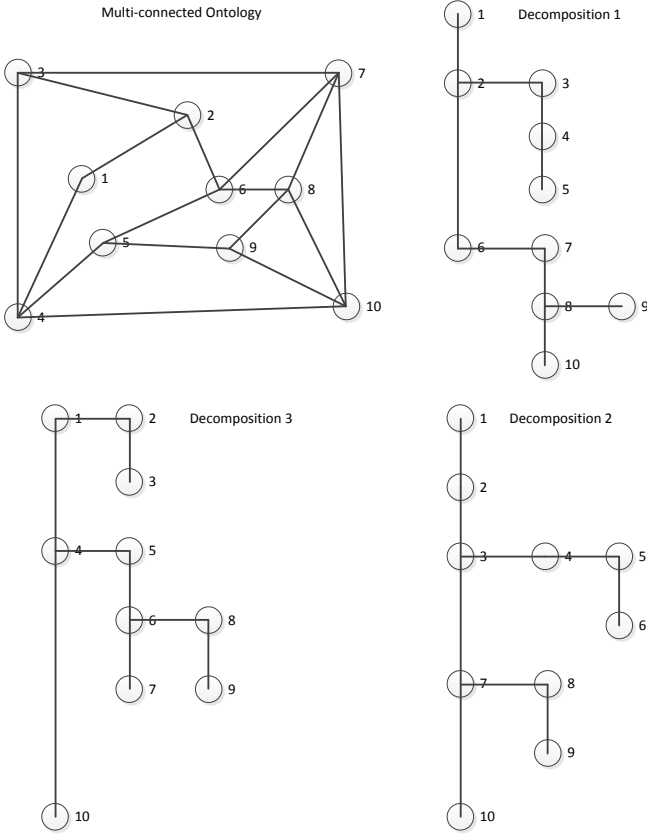


Figure 4: Ten node network decomposition example

$$K_{ij} = 1 \text{ (for } i \neq j \text{) and}$$

$$K_{ij} = 0 \text{ (for } i = j \text{)}$$

All K_{ij} of dimension n have an inverse K_{ij}^{-1} which is given by

$$K_{ij}^{-1} = 1/(n-1) \quad \text{(for } i \neq j \text{) and}$$

$$K_{ij}^{-1} = -(n-2)/(n-1) \quad \text{(for } i = j \text{)}$$

The existence of the inverse means that every decomposable ontology can be generated from the maximally connected network. The inverse of X_{ij} will be X_{ij}^{-1} which will restore the global multi-connected network from the specific tree

$$X_{ij}^{-1} X_{ij} M_{ij} = X_{ij}^{-1} O_{ij}$$

$$M_{ij} = X_{ij}^{-1} O_{ij}$$

The existence of the inverse is important because it means that given a particular knowledge decomposition we can always get to any other knowledge decomposition via the multi-connected ontology.

This may be clearer if we take a particular decomposition as an example. Consider the ten node network shown in Fig. 4. The multi connected ontology can be decomposed in a number of ways, three of which are illustrated. For clarification, we have numbered the ten nodes consecutively from 1 to 10 and the Adjacency matrix M_{ij} is shown in Fig. 5

		1		1					
1			1			1			
	1		1			1			
1		1		1					1
			1		1			1	
	1			1		1	1		
		1			1		1		1
				1		1		1	1
					1			1	1
			1			1	1	1	

Figure 5: Adjacency matrix M_{ij}

The adjacency matrix M_{ij} has an inverse M_{ij}^{-1} which takes the form shown in Fig. 6

1	3/2	-1/2	-1/2	-1	-1/2	-1	1/2	1	1/2
3/2	0	-1	0	-1/2	1/2	0	1/2	-1/2	0
-1/2	-1	0	1	1/2	1/2	1	-1/2	-3/2	0
-1/2	0	1	0	1/2	-1/2	0	-1/2	1/2	0
-1	-1/2	1/2	1/2	1	1/2	0	-1/2	0	-1/2
-1/2	1/2	1/2	-1/2	1/2	0	0	0	1/2	-1/2
-1	0	1	0	0	0	0	0	0	0
1/2	1/2	-1/2	-1/2	-1/2	0	0	0	1/2	1/2
1	-1/2	-3/2	1/2	0	1/2	0	1/2	-1	1/2
1/2	0	0	0	-1/2	-1/2	0	1/2	1/2	0

Figure 6: Inverse adjacency matrix M_{ij}^{-1}

The adjacency matrix of decomposition 1 $O_{ij}(1)$ is a particular instance of an ontology of the multi-connected ontology M_{ij} given by Fig. 7 where the grey boxes indicate components of M_{ij} which are to be removed.

		1		1					
1			1			1			
	1		1			1			
1		1		1					1
			1		1				1
	1			1		1	1		
			1			1		1	1
				1			1		1
					1		1	1	1
			1			1	1	1	

Figure 7: The adjacency matrix of decomposition 1 $O_{ij}(1)$

The adjacency matrix of decomposition 2 $O_{ij}(2)$ which is another particular instance of an ontology of the multi-connected M_{ij} is given by Fig. 8.

		1		1					
1		1			1				
	1		1			1			
1		1		1					1
			1		1			1	
	1			1		1	1		
		1			1	1		1	1
				1			1		1
					1		1	1	1
			1			1	1	1	

Figure 8: The adjacency matrix of decomposition 2 $O_{ij}(2)$

The adjacency matrix of decomposition 3 $O_{ij}(3)$ which is another particular instance of an ontology of the multi-connected ontology M_{ij} is given by Fig. 9.

		1		1						
1			1			1				
	1			1			1			
1			1		1					1
				1		1				1
	1				1		1	1		
		1				1		1		1
					1	1			1	1
					1			1		1
				1					1	
					1	1	1	1		

Figure 9: The adjacency matrix of decomposition 3 $O_{ij}(3)$

It follows from the preceding that not only can multi connected ontologies be decomposed into ‘instance ontologies’ as we may call a standard ontology but conversely a multi connected ontology can be constructed from instance ontologies and they can be combined into a mesh network. The converse of Principle 3 follows.

Principle 5: A multi connected ontology can be constructed from simple instance ontologies

Thus the three ontologies in Fig. 4 can be constructed from the larger mesh network by the selection of the correct links. However, there must be the same nodes for this to work.

Principle 6 for two ontologies to be identical they must have identical nodes, though not necessary identical links

It is quite easy to prove that any two trees of equal number of nodes but different links could be combined into a single multi-connected ontology. Consider the adjacency matrix of the two complementary trees, call them A and B, then it is always possible to form a new adjacency matrix C such that

$$C = A \oplus B$$

where we have defined \oplus as the operator which adds two matrix elements together according to the rule:

$$\begin{aligned} M_{ij} \oplus N_{ij} &= 1 \text{ (if } M_{ij} \text{ and/or } N_{ij} = 1) \\ M_{ij} \oplus N_{ij} &= 0 \text{ (if } M_{ij} \text{ and } N_{ij} = 0) \end{aligned}$$

This C will be representable as a new network, which is not a tree.

Indeed we can go further and state that a full maximal multi-connected system of n nodes K_n where every node is connected to every other node can be decomposed into any tree structure of n nodes T_n and that all T_n are subsets of K_n

$$T_n \subseteq K_n$$

In general, every ontology could be decomposed from the maximal multi connected network.

However, we need to be aware that some systems do not yield to this simple analysis as they are not based on different links but on different nodes.

Principle 6 is the fundamental principle that puts a difference between what we are doing and what is being done elsewhere as the structure of an ontology is usually rigidly defined not only by its nodes but also by the fixed links that relate those nodes, so that if the links change then the ontology changes. In Principle 6, we are saying that this is not necessarily so, or that the two ontologies are equivalent, even though they may have different structures. However, the number of nodes must be the same in all cases as they represent knowledge elements and ontologies with different knowledge elements contain different knowledge areas. This is worth restating again.

Two ontologies are the same if they have the same nodes but not necessarily the same links

V. STAGE 3 INTRODUCING PROXIMITY

There are many ways to arrange the nodes of a subject ontology. For instance, if we take the example of computing as a subject area, the knowledge nodes can be arranged in thematic order, logical order, functional order, historical order, geographical order etc. There is no end to the number of ways that knowledge nodes can be linked and presented, other than the mathematical limit of the total number of ways of arranging a finite number of nodes which is $n!/2$ since the number of ways of arranging n distinguishable objects is n! and we are treating reverse orders as the same arrangement for tree networks.

One way of doing this is to make each of these decompositions dependent on a set of decomposition parameters which determines the ordering. To do this each subject node would need to be tagged with these meta-subject parameters so that each node carries with it the information about its order in history or geography or function etc. However this is not needed if we use the decomposition operator X_{ij} as all the information as to the structure will reside here. Thus, there will be decomposition operators which will represent the different structures. We could speak of a Historical decomposition $X_{ij}(H)$ or a geographical decomposition $X_{ij}(G)$ etc. We can generalise this to $X_{ij}(k)$ In reality there will be a maximum of $n!/2$ such possible decompositions for a subject area with n nodes.

These decompositions are individually constructed (as are ontologies themselves) by individual subject experts who may be expected to provide their own decompositions very much as different experts would produce different books with different contents structures even though they were writing on the same subject as another expert. Each expert arranges his material in his own way and in a way that suits him and his way of thinking and presenting information. [17] We may speak therefore of individual tutor or expert decompositions

$X_{ij}(E_k)$ corresponding to their understanding of how the subject information should be arranged and presented. Hence

$$X_{ij}(E_k) M_{ij} = O_{ij}(E_k)$$

where $O_{ij}(E_k)$ is the ontology produced by Expert E_k

A full determination of E_k will require a tutor model with a full set of identified parameters. Similarly there will be a preferred decomposition for a particular student S who will have his own level of pre-existing knowledge, speed of acquisition of new knowledge etc. The full determination of this will require a student model with a full set of defined parameters. The full details of the tutor model, student model and other models will be dealt with in a separate paper.

The consequence of moving from a tree to a mesh network is that we now have more than one route between any two nodes. Hence within the multi connected ontology M_{ij} there are multiple routes between nodes and not all paths will be equal. Some paths will be very common and chosen by a majority of experts. Some paths may be much rarer and chose by perhaps only one expert. The accumulated frequency of choice may be interpreted as a probability value which indicates the likelihood of one node being linked to another by the creators of the separate ontologies for each decomposable ontology created by an individual expert or tutor.

Consequently, some subject nodes will have a higher probably of transition within the domain than other subject nodes and can be thought of as being ‘closer’ to each other for that reason. If there is more than one route away from a subject node then each pathway will be weighted according to the probability that an expert may move from one to another. We will model this by introducing probabilities into the adjacency matrix by replacing the 1s with probability values between 0 and 1 where 0 indicates no probability of a transition between two nodes and 1 indicates a 100% probability which means that one node must lead to another.

In this way, the adjacency matrix from Fig. 5 would be transformed, by way of illustration, to Fig. 10.

	.2		.8						
.2		.2			.6				
.2	.2	.1			1				
.8		.1		.05					.05
			.05	.2			.2		
	.6			.2	1	.4			
		1			1	.4		.1	
				.2	.4	.4		.2	1
				.2			.2		.5
			.05		.1	1	.5		

Figure 10: Probability Adjacency Matrix

The problem of finding a suitable pathway through the multi connected ontology which maximises the

probability of transition then reduces to a travelling salesman type problem.

VI. STAGE 4 INTRODUCING CO-REQUISITES AND PRE-REQUISITES

Pre-requisite knowledge domains indicate that one area of subject knowledge must be taught prior to another. This is a consequence of knowledge building on previous knowledge [18]. Therefore, within our model a mechanism is required to show which subject knowledge nodes are prior to other nodes. [19] [20] Pre-requisites mean that one subject node must come before another.

	.2		.8						
		.2			.6				
	0		0			1			
.8		.1		0					.05
			.05	.2			.2		
	.6			.2		1	.4		
		1			1		.4		.1
					0	.4		.2	1
				.2			.2		.5
			.05			0	0	0	

Figure 11: Directed Probability Adjacency Matrix

The concept of pre-requisites introduces the notion of direction into the ontology network. Directed networks only allow one route between two knowledge nodes and are usually represented by arrows. To represent this in our adjacency matrix we will introduce asymmetry into the adjacency matrix to show that connections are just one way. In this way, the adjacency matrix from Fig. 5 would be transformed, by way of illustration to Fig. 11 and the consequent directed network is shown in Fig. 12.

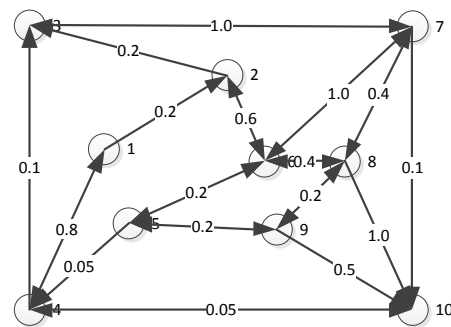


Figure 12: Directed Probability Network

Fig. 12 is our final representation of the multi connected ontology which serves as the complete representation of all the candidate ontologies proposed to represent a given knowledge domain.

VII. CONCLUSION

We have extended the concept of ontology to include multiple representations of a knowledge domain. The full representation requires an ordered multi-connected

network described by an asymmetric probability adjacency matrix

The ideas presented here provide the underpinning structure for combining all possible ontologies into a single multi-connected ontology of directed probabilistic networks. This solves the problem of how to choose between competing ontologies which have been proposed in any given subject domain. There is now no need to choose between competing candidate ontologies but instead all can be embraced in a single structure.

We liken this to the analogy of many textbooks written on a single subject. Different authors have different approaches to a subject and consequently structure the knowledge and its presentation in different ways which seem suitable to them. Consequently a look at half a dozen different textbooks on any subject will show half a dozen different structures to the knowledge as illustrated by the different contents pages. No two will be alike and yet they will be covering the same subject area.

Does this mean that one is right and all the others are wrong? Not at all. We recognized that there are different and equally valid ways of organizing and presenting knowledge. And consequently there are different ways of organizing and presenting an ontology for a given subject. The problem has always been which ontology should be adopted. The standard approach is to agree on one or decide by international committee. However this does not stop arguments raging as to which should gain universal acceptance. These arguments will never be settled satisfactory as settling them is merely a matter of convention. However by adopting the multi-connected ontology approach we may combine all structures into a single complex network of which the individual ontologies are mere projections.

We contend that this multi-connected ontology has greater claim to being a true representation of the knowledge domain than any individual ontology as it captures all these structures without giving undue prominence to any individual part or favour to any one view. As Goethe says, “*Only everybody knows the Truth.*”

VIII. REFERENCES

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