

Zeolite catalysed conversion of alcohols to hydrocarbons: from molecular to industrial scale

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"IPCPO'16: Innovation techniques in chemistry, petrochemistry, and oil refining" Sint-Petersburg, 20-21 October 2016

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Heterogeneous Catalysis: a Multiscale process



Multi-scale modeling: la voie royale



M.-F. Reyniers & G.B. Marin, Annu. Rev. Chem. Biomol. Eng. 5 (2014) 563

First-principles based kinetic modeling





Alexopoulos et al. J. Phys. Chem. C (2016) 7172-7182

Acid catalyzed ethanol conversion



 $p_{EtOH,0}$ = 20 kPa : W/F_{EtOH,0} = 8 kg s mol⁻¹

Ethanol conversion to higher HC



Overview

- Introduction
- Dehydration of bioalcohols on zeolites
 - First principles kinetic model development
 - Experimental validation
 - Reaction-path analysis
 - Effect of zeolite
 - Industrial reactor scale
- Conclusions

Alcohol adsorption in zeolites

Ethanol physisorption in H-ZSM-5



- van der Waals:
 - dipole-dipole
 - dipole-induced dipole
 - dispersive
- H-bonding
- electrostatic interactions

H-bonding and protonation: chemisorption

Ethanol adsorption and protonation in H-ZSM-5



Alcohol adsorption & reaction in zeolites



Chemisorption: effect of chain length



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 - Ethanol dehydration

Ethanol to Ethene: H-ZSM-5



Ethanol to Diethyl ether: H-ZSM-5



Ethanol to Diethyl ether: H-ZSM-5



Diethyl ether to Ethene:H-ZSM-5

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 - Butanol dehydration: idem

Dehydration : dominant mechanisms



Dehydration: MARI's







Monomer M1

Dimer D1





MARI's and Rate-Determining Steps

		А	В	С	
(1)	$BuOH(g) + * \leftrightarrow M1$	1	1	0	All reaction paths
(2)	$M1 \leftrightarrow M2$	1	0	0	suggested mechanisms
(3)	M2 \leftrightarrow Butene*+ H ₂ O _(g)	1	0	0	are included in the
(4)	Butene* \leftrightarrow Butene _(g) + *	1	0	1	
(5)	$M1 + BuOH_{(g)} \leftrightarrow D1$	0	1	0	$TOF_{path} =$
(6)	D1 ↔ D2	0	1	0	$\sum_{n=1}^{n} TOF_{mech}$
(7)	$D2 \leftrightarrow DBE^* + H_2O_{(g)}$	0	1	0	
(8)	$DBE^* \leftrightarrow DBE_{(g)} + *$	0	1	-1	
(9)	DBE* ↔ C1	0	0	1	
(10)	C1 \leftrightarrow Butene*+ BuOH _(g)	0	0	1	
Path A	$BuOH_{(g)} \leftrightarrow Butene_{(g)} + H_2O_{(g)}$				
Path B	$BuOH_{(g)}+BuOH_{(g)} \leftrightarrow DBE_{(g)}+H_2O_{(g)}$				
Path C	$DBE_{(g)} \leftrightarrow Butene_{(g)} + BuOH_{(g)}$				22

Effect of alkyl chain length on Arrhenius parameters



		Surface species				
	M1	Chemisorbed alcohol monomer				
	D1	Chemisorbed alcohol dimer				
	Ether*	Adsorbed Ether (DEE/DBE)				



Increase in alcohol chain length has marginal influence on activation enthalpy but leads to significant increase in activation entropy

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Experimental procedures and conditions



HZSM-		
Properties		
15	40	
0.77	0.36	
430	436	
1.1	1.1	
	HZSM-{ erties 15 0.77 430 1.1	

Experimental conditions				
Temperature (K)	453 – 523			
p _{EtOH,in} (kPa)	8 – 50			
W/F _{EtOH,in} (kg s mol ⁻¹)	1.5 – 17.0			

Reactor model equations

Reactor continuity equations for each gas-phase component i with PSSA for the surface species k:

$$R_{k} = \sum_{j} v_{jk} r_{j} = 0$$

with *e*. *g*. $r_{j} = k_{j} \theta_{k} p_{i}$

$$\theta_{H^+} + \sum_k \theta_k = 1$$

$$\frac{dF_i}{dW} = C_t R_i = C_t \sum_j v_{ji} r_j$$

$$F_i = F_{i,0} \text{ at } W = 0$$

- F_i molar flow rate of component *i* (mol s⁻¹)
- W catalyst mass (kg)
- C_t acid site concentration (mol H⁺ kg⁻¹)
- R_i net production frequency of component i (molecules site⁻¹ s⁻¹ = mol mol_H+⁻¹ s⁻¹)
- r_j turnover frequency of elementary step j

(molecules site⁻¹ s⁻¹ = mol mol_H+⁻¹ s⁻¹)

- k_j rate coefficient of elementary step j
- θ coverage of surface species k
- p_i partial pressure of gas phase component *i*
- v_{ji} stoichiometric coefficient of component *i* in the elementary step *j*

Conversion and selectivities



Effect of water

 $W_{cat}/F_{EtOH,0} = 8.3 \text{ kg s} / \text{mol}$ $P_{EtOH,0} = 29 \text{ kPa}$ T = 503 K



Parity diagrams



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Reaction path analysis: effect of T







Reaction path analysis: effect of conversion



H-ZSM-5, $p_{EtOH,0}$ = 10kPa, *T* = 500 K





Reaction path analysis: Effect of water



Equilibrium coefficients for adsorption @ 450K



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Zeolite Frameworks


Chemisorption



Effect of zeolite: B Ethanol to Diethyl ether



TS stabilization: vdW & hydrogen bonds



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TS 8 stabilization: electrostatic interactions



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Butanol dehydration



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H-FER: ether-mediated route (path B followed by path C) favored to produce 1-butene H-FAU: significant contribution from path A favors formation of 1-butene

Effect of zeolite: path B and C



Caveat: effect of reaction conditions



	Low	High
Temperature	В	А
P _{ROH}	А	В
Conversion (X)	A / B	A / C



dominant path (at X= 10 %)



Dehydration of 1-butanol to butene isomers



Dehydration of 1-butanol to 2-t-butene





Dehydration of 1-butanol to butene isomers



Butanol dehydration: Temkin table

		Path A			Path B		Path C					
	Mechanism #	<i>m</i> 1	<i>m</i> 2	<i>m</i> 3	m4	<i>m</i> 5	<i>m</i> 6	<i>m</i> 7	<i>m</i> 8	<i>m</i> 9	m10	
R1	1-BuOH _(g) + ∗ ↔ M1	1	1	1	1	1	1	1	1	0	0	
R2	M1 \leftrightarrow W + 1-Butene _(g)	1	0	0	0	0	0	0	0	0	0	All reaction paths
R3	$W \leftrightarrow H_2O_{(g)} + *$	1	1	0	0	0	0	0	0	0	0	involving all the
R4	M1 ↔ C1	0	1	0	0	0	0	0	0	0	0	suggested mechanism
R5	C1 ↔ W + 1-Butene _(g)	0	1	0	0	0	0	0	0	0	0	suggested methodiusm
R6	$M1 \leftrightarrow M2$	0	0	1	1	0	0	1	1	0	0	
R7	M2↔ 1-Butene*+ $H_2O_{(g)}$	0	0	1	0	0	0	0	0	0	0	microkinetic model
R8	1-Butene [*] ↔ 1-Butene _(g) + *	0	0	1	1	0	0	1	1	1	1	
R9	M2↔ Butoxy + $H_2O_{(g)}$	0	0	0	1	0	0	1	1	0	0	$TOF_{n,n+h} = \sum_{i=1}^{n} TOF_{n,n+h}$
R10	Butoxy ↔ 1-Butene*	0	0	0	1	0	0	0	0	0	0	
R11	M1 + $BuOH_{(g)} \leftrightarrow D1$	0	0	0	0	1	1	0	0	0	0	
R12	D1 ↔ D2	0	0	0	0	1	1	0	0	0	0	TOF
R13	D2↔ C2+1-Butene _(g)	0	0	0	0	1	0	0	0	0	0	$TOF_{A=}$
R14	$C2 \leftrightarrow M1 + H_2O_{(g)}$	0	0	0	0	1	0	0	0	0	0	$TOF_{m_1} + TOF_{m_2} + TOF_{m_4} + TOF_{m_5}$
R15	$D2 \leftrightarrow DBE^* + H_2O_{(g)}$	0	0	0	0	0	1	0	0	0	0	1115 1114 1110
R16	$DBE^* \leftrightarrow DBE_{(g)} + *$	0	0	0	0	0	1	1	1	-1	-1	$TOF = TOF_{rec}$
R17	Butoxy + BuOH _(g) \leftrightarrow C3	0	0	0	0	0	0	1	1	0	0	
R18	C3↔ DBE* (Sn2)	0	0	0	0	0	0	1	0	0	0	$IOF_{m2} = IOF_{R4}$
R19	C3↔ DBE* (Sn1)	0	0	0	0	0	0	0	1	0	0	$TOF_{m3} = TOF_{R7}$
R20	DBE [*] ↔ C4	0	0	0	0	0	0	0	0	1	0	$TOF_{md} = TOF_{R9}$
R21	C4 ↔ 1-Butene*+ BuOH _(g)	0	0	0	0	0	0	0	0	1	0	
R22	$DBE^* \leftrightarrow DBE2$	0	0	0	0	0	0	0	0	0	1	101 m5- 101 R13
R23	DBE2↔ 1-Butene*+ BuOH _(α)	0	0	0	0	0	0	0	0	0	1	49

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Reaction path analysis



Butene isomer selectivity: Effect of zeolite type



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Industrial dehydration reactor

bio-ethanol (aqueous ethanol solution)



Multiscale modeling of an industrial reactor



Microscale: possible diffusion limitations



Weisz-Prater criterion:

$$\frac{(n+1)}{2} \frac{d^2 \rho R_i^{obs}}{6D_{e,i} C_i^s} < 0.08$$

$$D_{e,i} = \frac{\varepsilon_p D_i}{\tau_p}$$

Bosanquet equation:



Knudsen diffusion coefficient:

 $D_{i,K} = \frac{2}{3} \frac{d_{pore}}{2} \sqrt{\frac{8RT}{\pi M_i}}$

Molecular diffusion coefficient:

$$D_{i,j} = 1 \times 10^{-7} \frac{T^{1.75}}{P_{tot}((\Sigma v)_i^{1/3} + (\Sigma v)_j^{1/3})^2} \left(\frac{1}{M_i} + \frac{1}{M_j}\right)^{1/2}$$

Reactor model equations

$$R_{k} = \sum_{j} v_{jk} r_{j} = 0$$
with $e.g.r_{j} = k_{j}\theta_{k}p_{i}$

$$\theta_{H^{+}} + \sum_{k} \theta_{k} = 1$$

$$0 = C_t R_i \rho_s - \frac{4}{d_p^2} \left(\frac{2}{\xi} D_{e,i} \frac{dC_i}{d\xi} + \frac{dD_{e,i}}{d\xi} \frac{dC_i}{d\xi} + D_{e,i} \frac{d^2 C_i}{d\xi^2} \right)$$

$$C_i = C_i^s \quad \xi = 1$$

$$\frac{dC_i}{d\xi} = 0 \quad \xi = 0$$

$$\frac{dF_i}{dW} = C_t \overline{R_i} \qquad \qquad F_i = F_{i,0} \text{ at } W = 0$$

MACRO

$$\frac{d\mathbf{T}}{dW} = \frac{1}{Gc_p} \sum_{i=1}^{\infty} \Delta H_{f,i} \,\overline{R_i} C_t \qquad \mathbf{T} = \mathbf{T}^0 \text{ at } \mathbf{W} = \mathbf{0}$$

$$\frac{dp_t}{dW} = -f \frac{G^2}{\rho_b \rho_f A_r^3 d_p} \qquad p = p^0$$

- F_i molar flow rate of component *i* (mol s⁻¹)
- W catalyst mass (kg)
- C_t acid site concentration (mol H⁺ kg⁻¹)
- R_i net production frequency of component i (molecules site⁻¹ s⁻¹ = mol mol_H+⁻¹ s⁻¹)
- r_j turnover frequency of elementary step j (molecules site⁻¹ s⁻¹ = mol mol_H+⁻¹ s⁻¹)
- k_i rate coefficient of elementary step j
- θ_k coverage of surface species k
- p_i partial pressure of gas phase component *i*
- v_{jk} stoichiometric coefficient of component k in the elementary step j
- T temperature (K)
- c_p specific heat capacity (J kg⁻¹ K⁻¹)
- G mass flow rate (kg s⁻¹)
- $\Delta H_{f,i}$ enthalpy of formation of component *i* (J mol⁻¹)
- D_{e,i} effective diffusion coefficient (m² s⁻¹)
- C_i concentration inside the catalyst pellet (mol m⁻³)
- ξ position coordinate within catalyst pellet
- $\overline{R_i}$ net production rate
 - in case of diffusion limitations (mol mol_H+-1 s-1)
- ρ_f density of the fluid (kg m⁻³)
- ρ_s density of the pellet (kg m⁻³)
- ρ_b density of the bed (kg m^-3)
- d_p pellet diameter (m)

at W=0

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Effectiveness factor



Industrial multibed adiabatic operation



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Conclusions I

- Adsorption strength increases with alkyl chain length of alcohols
- Increase of alkyl chain length leads to an increase of $\Delta S^{o\ddagger}$ and explains higher reactivity of large chain alcohols
- Dispersive interactions and H bonding plays a key role in stabilization of adsorbed species and transition states
- "Compensation effect" can be important: dispersive interaction and steric hindrance both increasing with decreasing pore size
- Stronger adsorption of alcohol and ether as compared to alkenes (limit consecutive reactions) and water (no significant inhibition effect)

Conclusions II

- Detailed reaction network can be constructed with limited a priory assumptions
- Kinetic parameters can be calculated ab initio with chemical accuracy i.e. allowing to describe conversion and selectivity at relevant conditions
- Interaction of functional groups with catalyst can be described accurately as well as the effect of catalyst framework
- Dominant reaction path depends strongly both on conditions and catalyst framework
- Selection of optimal catalyst based on reaction path/sensitivity analysis based on microkinetics

Acknowledgments

Research Foundation Flanders

Opening new horizons

- Long Term Structural Methusalem Funding by the Flemish Government
- Interuniversity Attraction Poles Programme



• Fund for Scientific Research (FWO) – Flanders

• V. Galvita, C.M. Nguyen, K. Alexopoulos, M. John,

K.Van der Borght



European Research Council





People



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Methusaler



- **Molecular Dynamics (MD):** a technique by which one generates the atomic trajectories of a system of N particles by numerical integration of Newton's equation of motion, for a specific interatomic potential, with certain initial and boundary conditions.
- **Radial Distribution Function (RDF):** a pair correlation function, which describes how, on average, the atoms in a system are radially packed around each other.

$$g_{\alpha\beta}(r) = \frac{1}{N_{\alpha}\rho_{\beta}} \sum_{I \in \alpha, J \in \beta} \delta(r - |\mathbf{R}_{J} - \mathbf{R}_{I}|)$$

• Vibrational Density Of States (VDOS): the Fourier transform of the velocity-velocity time-correlation function $D(\omega) = \int_{0}^{\infty} e^{-i\omega t} \langle \boldsymbol{v}(\tau) \cdot \boldsymbol{v}(\tau+t) \rangle dt$



- *Electrostatic potential:* evaluated from the interaction between a negative unit charge and the local charge density. This factor is critical in stabilizing positively charged adsorbed complexes and especially transition states in the zeolite.
- *Elementary step:* a reaction in which reactants are transformed into products without passing through another reaction intermediate
- Transition state theory for reaction rate coefficients:

$$k = \frac{k_B T}{h} \exp\left(-\frac{\Delta G^{\ddagger}}{k_B T}\right) = \frac{k_B T}{h} \frac{q^{\ddagger}}{q} \exp\left(-\frac{\Delta E_0^{\ddagger}}{k_B T}\right)$$

where $q = q_{vib}$ immobile surface species

(apart from Ethene* where a 2D translation and 1D rotation is assumed)



- van der Waals interactions: the attractive or repulsive interactions between molecular entities (or between groups within the same molecular entity) other than those due to bond formation or to the electrostatic interaction of ions or of ionic groups with one another or with neutral molecules. The term includes: dipole–dipole, dipole-induced dipole and dispersive (instantaneous induced dipole-induced dipole) interactions.
- **Dispersive interactions:** attractive interactions between any pair of molecules, including non-polar atoms, arising from instantaneous induced dipole-induced dipole forces



 E1 reaction (elimination, unimolecular) – In this reaction, the rate determining step involves a heterolytic cleavage of the bond between the leaving group and the carbon atom leading to formation of a carbenium ion. The second step involves deprotonation of an adjacent hydrogen by a base.



B--base LG-Leaving group



• **E2** reaction(elimination, bimolecular) –E2 reaction is a concerted reaction involving a synchronous deprotonation and departure of the leaving group. E2-type elimination requires the atoms or groups involved in the reaction to be in the same plane with a torsional angle $\theta = 180^\circ$, i.e. antiperiplanar orientation of the leaving group (LG) and the β -hydrogen (hence also called as anti-elimination).





• Syn elimination – This is a concerted elimination mechanism, where the leaving group (LG) and the hydrogen atom are in the same plane and have a syn coplanar orientation (torsional angle $\theta \approx 0^\circ$; eclipsed or near eclipsed conformation)





- **SN1 (substitution, unimolecular)** –In this reaction, the rate determining step involves a heterolytic cleavage of the bond between the leaving group and the carbon atom leading to formation of a carbenium ion which undergoes a substitution reaction with the nucleophile.
- SN2 (substitution, bimolecular) is a concerted reaction involving simultaneous bond breaking (between the carbon atom and leaving group) and bond formation(between carbon atom and the attacking nucleophile). The transition state for a SN2 type substitution involves a penta-coordinated carbon atom with a trigonal bipyramidal geometry with the incoming nucleophile and the leaving group occupying the axial positions (bond angle Nu--C--LG ≈ 180°)

PhD Public Defence, LCT, 13th Oct , 2076

Glossary: Rate-determining step





 Sensitivity analysis: normalized sensitivity coefficient (NSC_{i,j}) of response R_j to pre-exponential factor A_i of reaction *i*:

$$NSC_{i,j} = \frac{d(lnR_j)}{d(lnA_i)} = \frac{A_i dR_j}{R_j dA_i}$$

where R_j can correspond to conversion of reactants, turnover frequency, or selectivity to a product *j*

 Reaction-path analysis: analyzes the reaction rates that contribute to the rate of production or disappearance of a selected species, which allows to determine actual reaction path to form intermediates and products