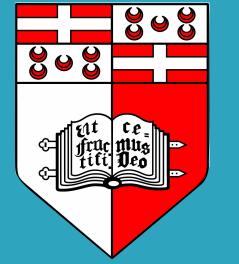
Vectorisation of Sketched Drawings using Co-occurring Sampling Circles

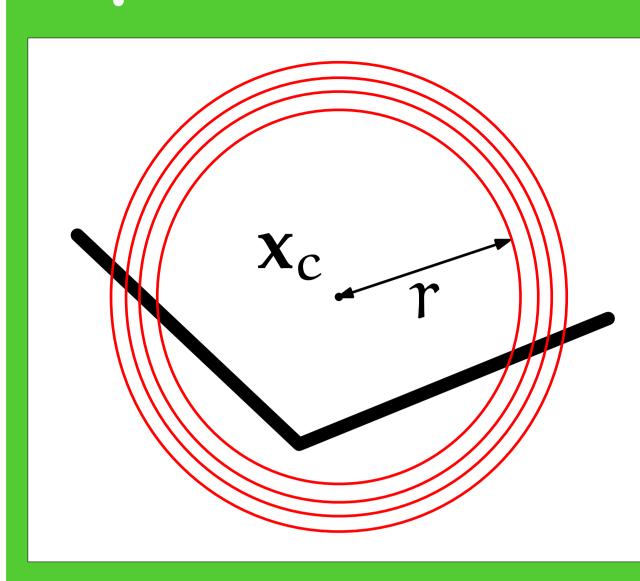


Alexandra Bonnici Kenneth Camilleri University of Malta

1 Introduction

Drawing vectorisation algorithms convert raster drawings into a vector format that can be used by computer-aided design tools. Vectorisation techniques typically require that the drawing is binarised before lines can be sampled to obtain a vector representation of the drawing. Such an approach may be problematic if the

4 Locating the junction point



Since θ and **d** are unknown, we can determine their values by scaning over all θ and **d** and search along β on the sampler circle circumference for evidence of line segments. This evidence can be accumulated in a co-occurrence matrix:

image back-ground does not have a uniform intensity.

2 Contribution

- An alternative vectorisation algorithm that can work directly on grey-level images.
- Junctions can be localised from non centred sampling circles and thus, the drawing can be sampled sparsely.

3 Theory

The centre \mathbf{x}_c of a circle sampler is used as a local

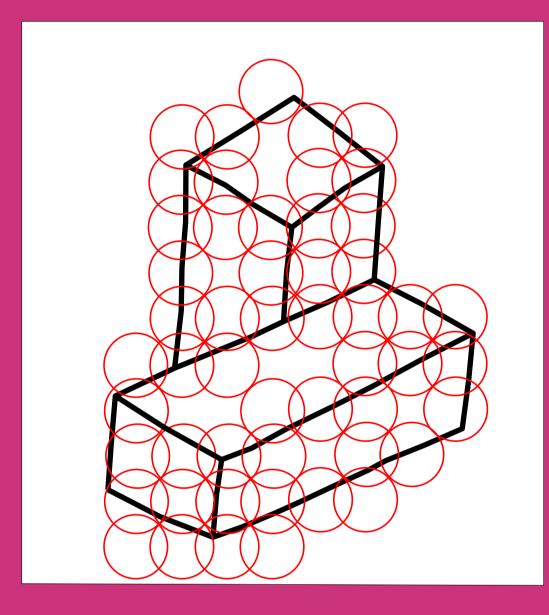
$S_{\mathbf{d}}(\theta, \Delta \theta) = \frac{1}{M} \sum_{m=1}^{M} I_{r_m}(\beta(\theta)) I_{r_m}(\beta(\theta + \Delta \theta))$

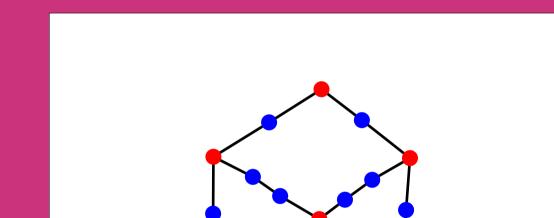
where M is the total number of concentric circle samplers

The junction poistion and line orientations are then estimated from:

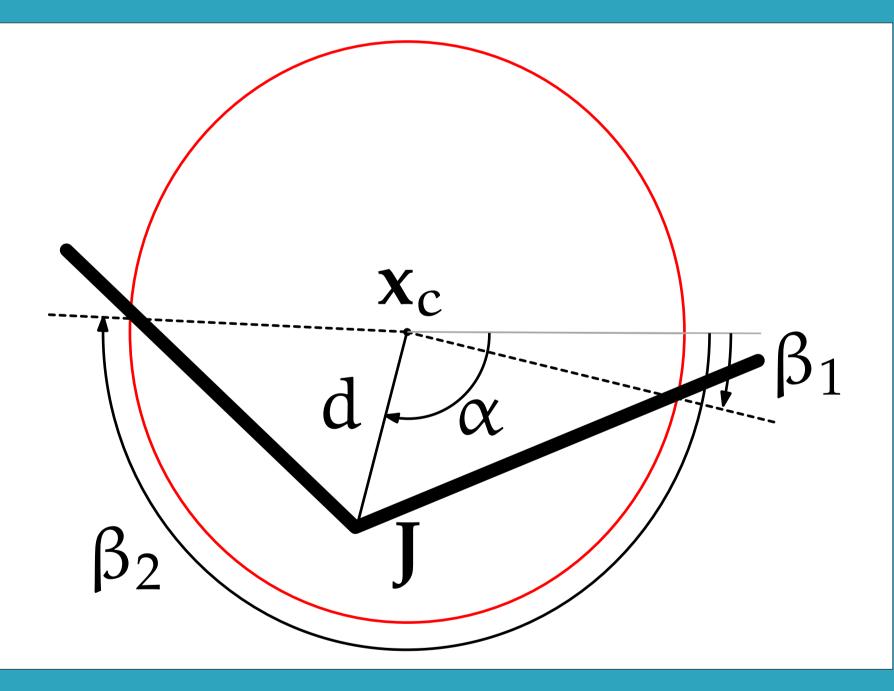
 $[\hat{\theta}, \hat{d}] = \arg\{\max\{S_d(\theta, \Delta\theta)\}\}$

5 Drawing vectorisation





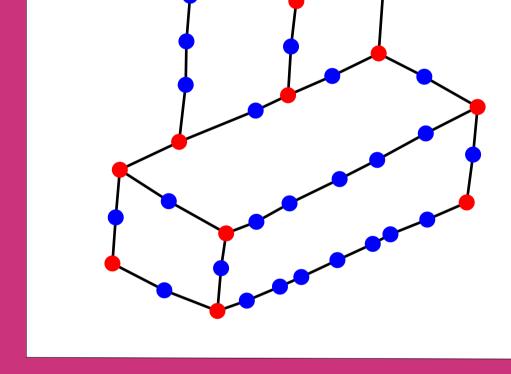
point of reference.



The junction point is then defined by:

 $\mathbf{d} = [\mathbf{d}, \boldsymbol{\alpha}]$

At the junction, line segments with a line orientation θ with the horizontal will intersect the circle



- The drawing is sampled with multiple concentric circles, evenly distributed across the image.
- Junction points are located from these circles
- A topological graph structure is then used to link the junction points and hence vectorise the drawing



sampler at $\beta(\theta)$

$$\beta(\theta) = f_{r,d} = \theta \pm \sin^{-1}\left(\frac{d}{r}\sin(\alpha - \theta)\right)$$

The grey-level intensity on the circle circumference can therefore be expressed as

$I_{r,d}(\beta(\theta)) = \delta(\beta - f_{r,d})$

where $\delta(\cdot)$ is the Dirac delta function

