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Experimental Studies of NaCs

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Abstract

Why Study NaCs?

We present experimental studies of excited electronic states of the NaCs molecule that are currently underway in our laboratory. The optical-optical double resonance method is used to obtain Doppler-free excitation spectra for several excited states. These data are being used to obtain Rydberg-Klein-Rees (RKR) or Inverse Perturbation Approach (IPA) potential curves for these states. Bound-free spectra from single rovibrational levels of electronically excited states to the repulsive wall of the $1(a)^3\Sigma^+$ state are also being recorded. Using the previously determined excited state potentials, we can fit the repulsive wall of the $1(a)^3\Sigma^+$ state to reproduce the experimental spectra using LeRoy's BCONT program. A slightly modified version of BCONT will also be used to fit the relative transition dipole moments, $\mu_e(R)$, as a function of internuclear separation, R , for the various bound-free electronic transitions.

Large permanent dipole moment

Permanent Dipole Moments of Heteronuclear Alkali Molecules in $X^1\Sigma^+$ State

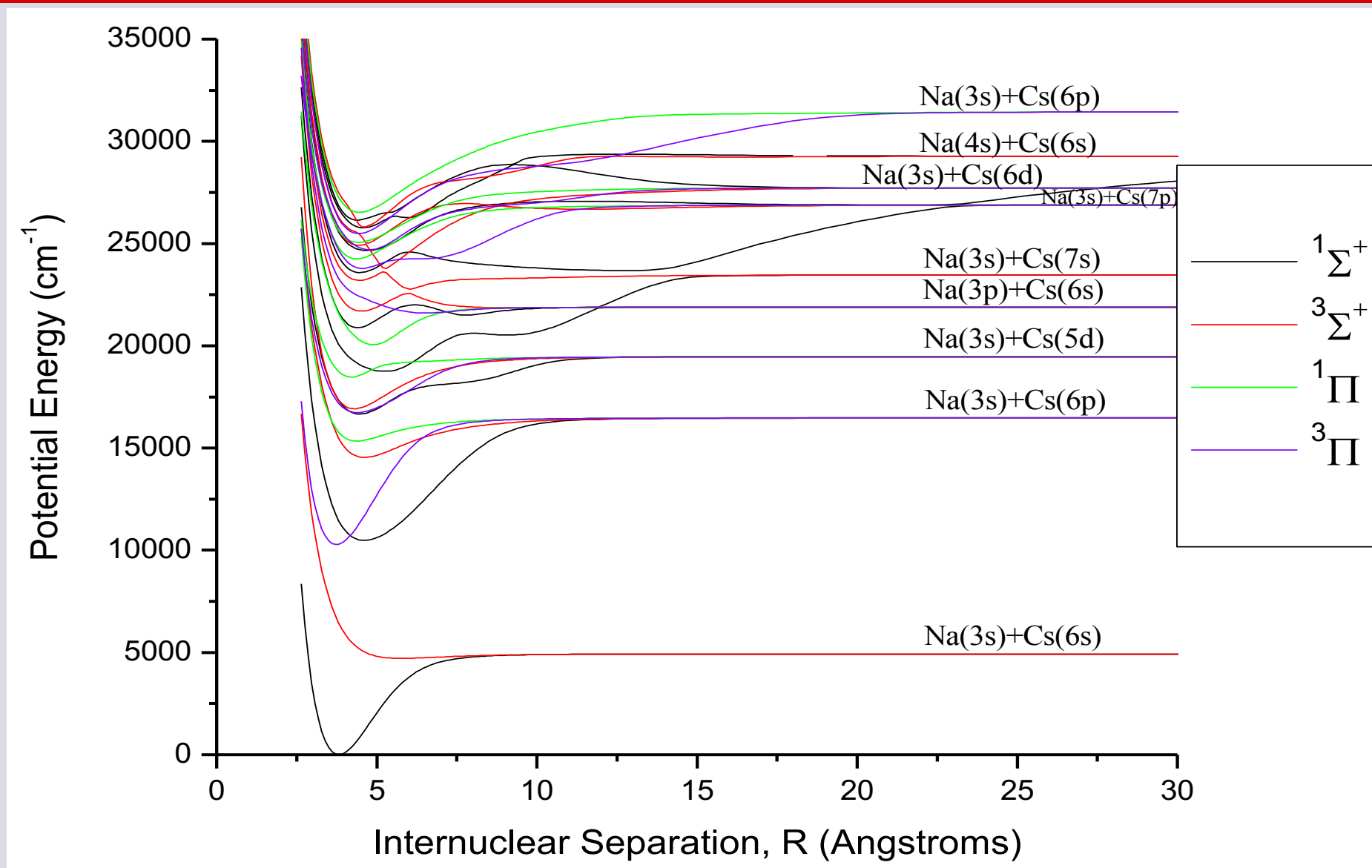
| Molecule | Expt. Dipole(Debys) |
|----------|---------------------|
| LiNa | 0.47 |
| LiK | 3.45 |
| LiRb | 4.05 |
| LiCs | 6.3 |
| NaK | 2.73 |
| NaRb | 3.1 |
| NaCs | 4.75 |
| KRb | 0.2 |
| KCs | 2.58 |
| RbCs | 2.39 |

Large spin-orbit interactions:

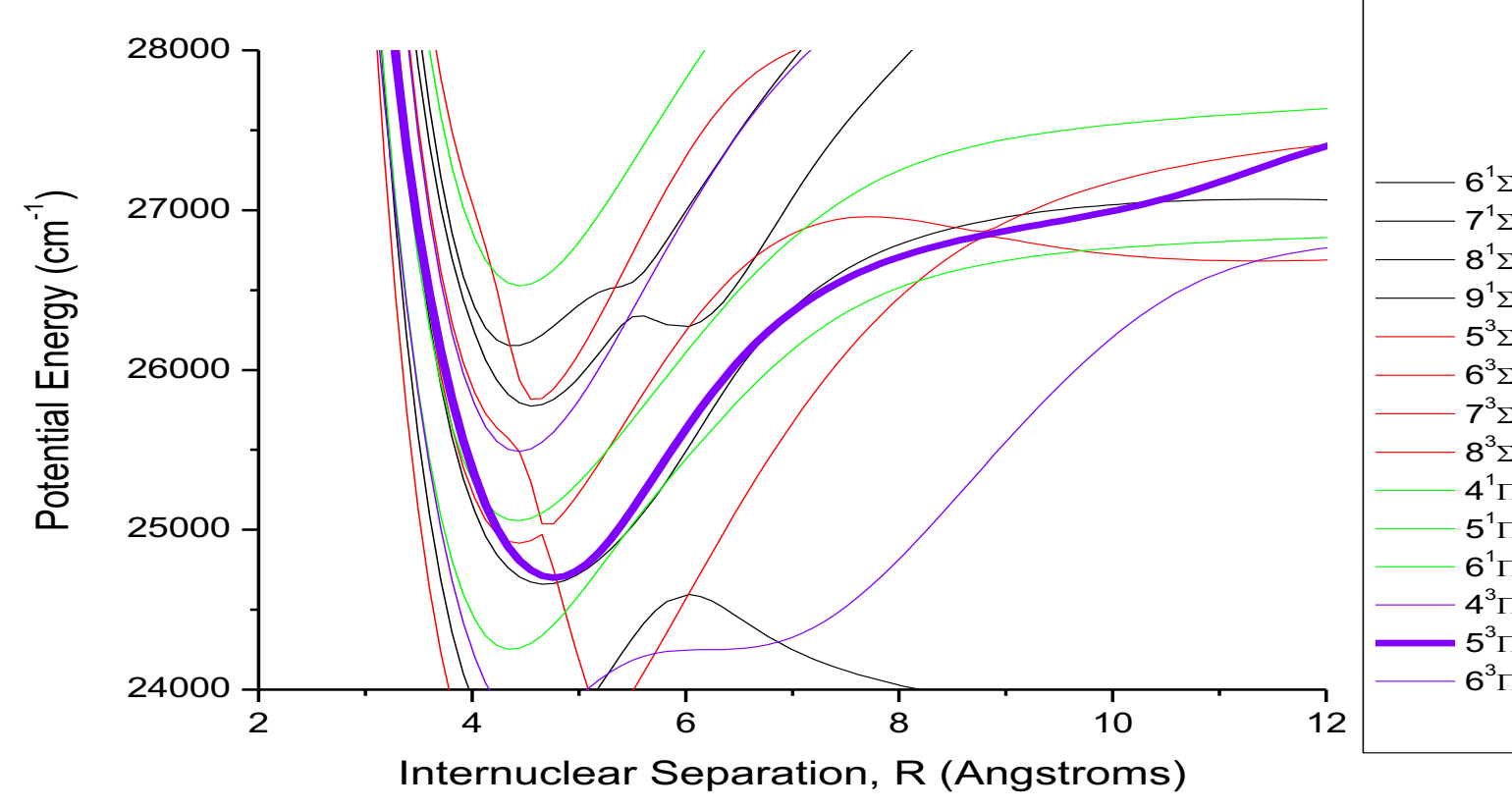
Spin-Orbit Splitting of Alkali Atoms ($E(P=3/2) - E(P=1/2)$)

| Atomic symbol | Splitting (cm^{-1}) |
|---------------|-------------------------|
| Li | 0.335 |
| Na | 17.196 |
| K | 57.71 |
| Rb | 273.595 |
| Cs | 564.0393 |
| Fr | 1686.589 |

NaCs Theoretical Potentials*



*M. Korek et al., JCP 126, 124313 (2007)



Goals

- Map excited state potentials
- Map repulsive wall of the $a^3\Sigma^+$ state
- Determine transition dipole moment functions, $\mu_e(R)$
- Study collisional energy transfer
- Measure spin-orbit coupling interaction parameters as functions of R
- Study hyperfine structure

Transition Dipole Moment and Selection Rules

Transition Dipole Moment Functions

Emission intensity for bound-bound or bound-free transitions is proportional to the square of the dipole matrix element

$$I_{\text{emission}} \propto |\langle f | \mu_e | i \rangle|^2$$

Here, $\mu_e = -e \sum_i r_i$ is the dipole operator.

$$\mu_e = -e \sum_i r_i = -e \sum_i r_i \cos \theta_i$$

The total wave function can be separated into electronic and nuclear parts, and the nuclear part can be further separated into angular (rotational) and radial (vibrational) terms:

$$\Psi(r, R) = \psi(r, R) \chi(R) \phi(\theta, \phi)$$

(Note that for bound-free transitions, the final state vibrational function must be replaced by a continuum function.)

Then the dipole matrix element becomes: $\mu_e = \int \langle f | \mu_e | i \rangle \psi_f^*(r, R) \psi_i(r, R) \chi_f^*(R) \chi_i(R) \phi_f^*(\theta, \phi) \phi_i(\theta, \phi) d\tau dR d\Omega$

For a transition between two electronic states, initial state i and final state f , the angular terms in zero, the angular terms of the μ_e integral lead to selection rules on J , and the radial term leads to:

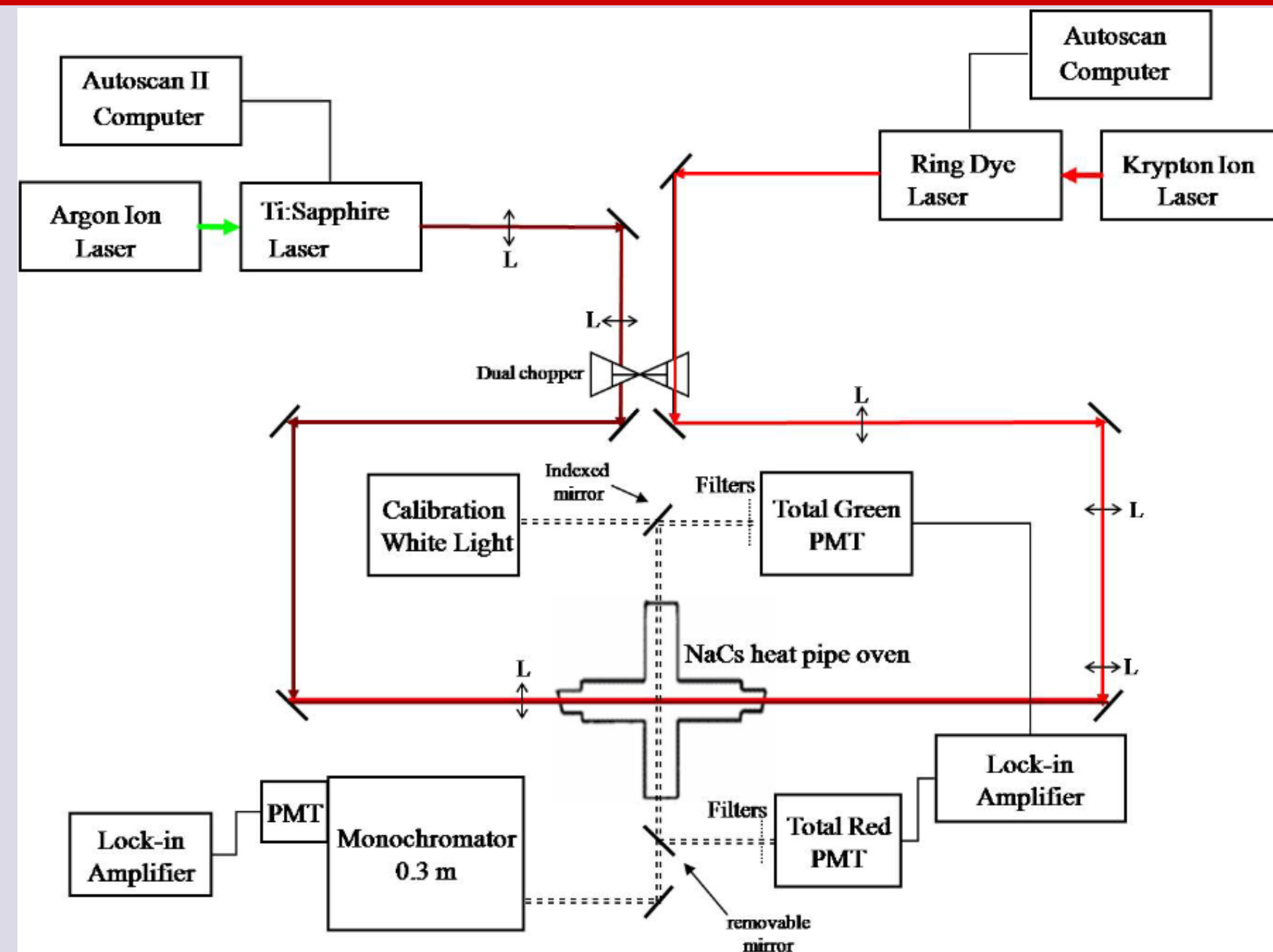
$$\mu_e = \int \langle f | \mu_e | i \rangle \chi_f^*(R) \chi_i(R) dR$$

Therefore, $\mu_e(R)$ can be obtained by fitting the sum of lines of bound-bound emission lines or bound-free emission continua to experimental spectra.

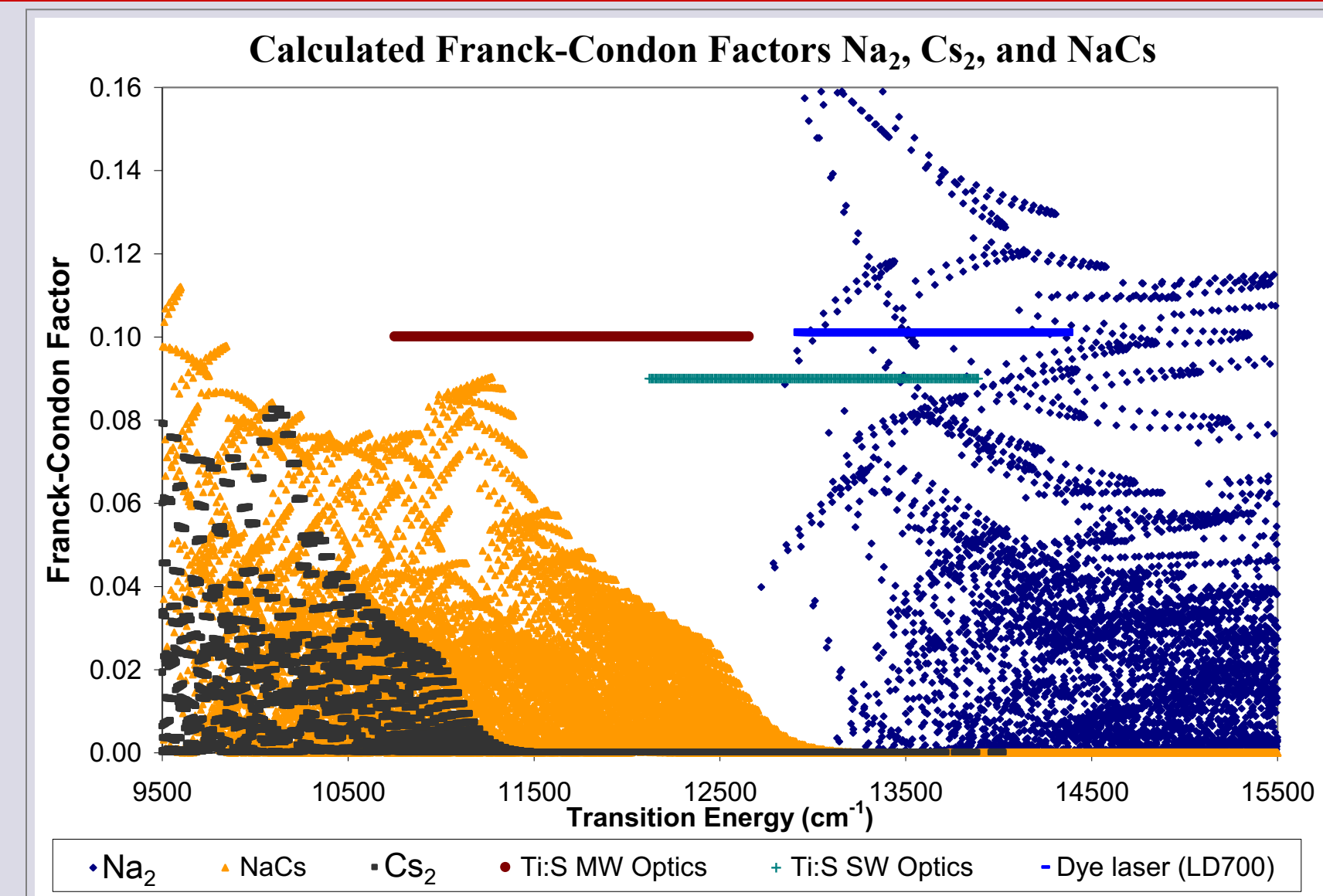
Selection Rules for Electronic Transitions

- $\Delta v = \text{anything}$
- $\Delta J = 0, \pm 1$ with restriction that $\Delta J = 0$ forbidden for $\Sigma \leftrightarrow \Sigma$ transitions
- Hund's case a)
- $\Delta S = 0$
- $\Delta \Lambda = 0, \pm 1$
- $\Delta \Omega = 0, \pm 1$
- Hund's case c)
- $\Delta \Omega = 0, \pm 1$

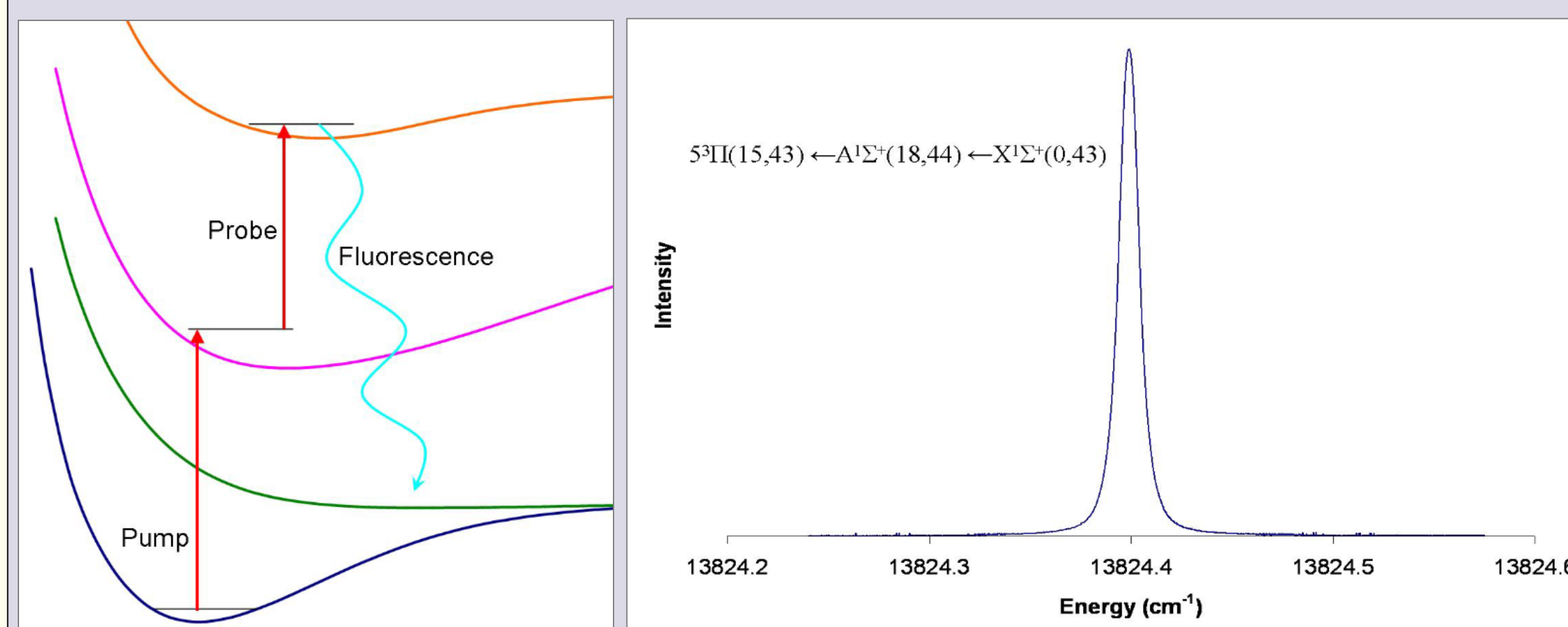
Experimental Setup



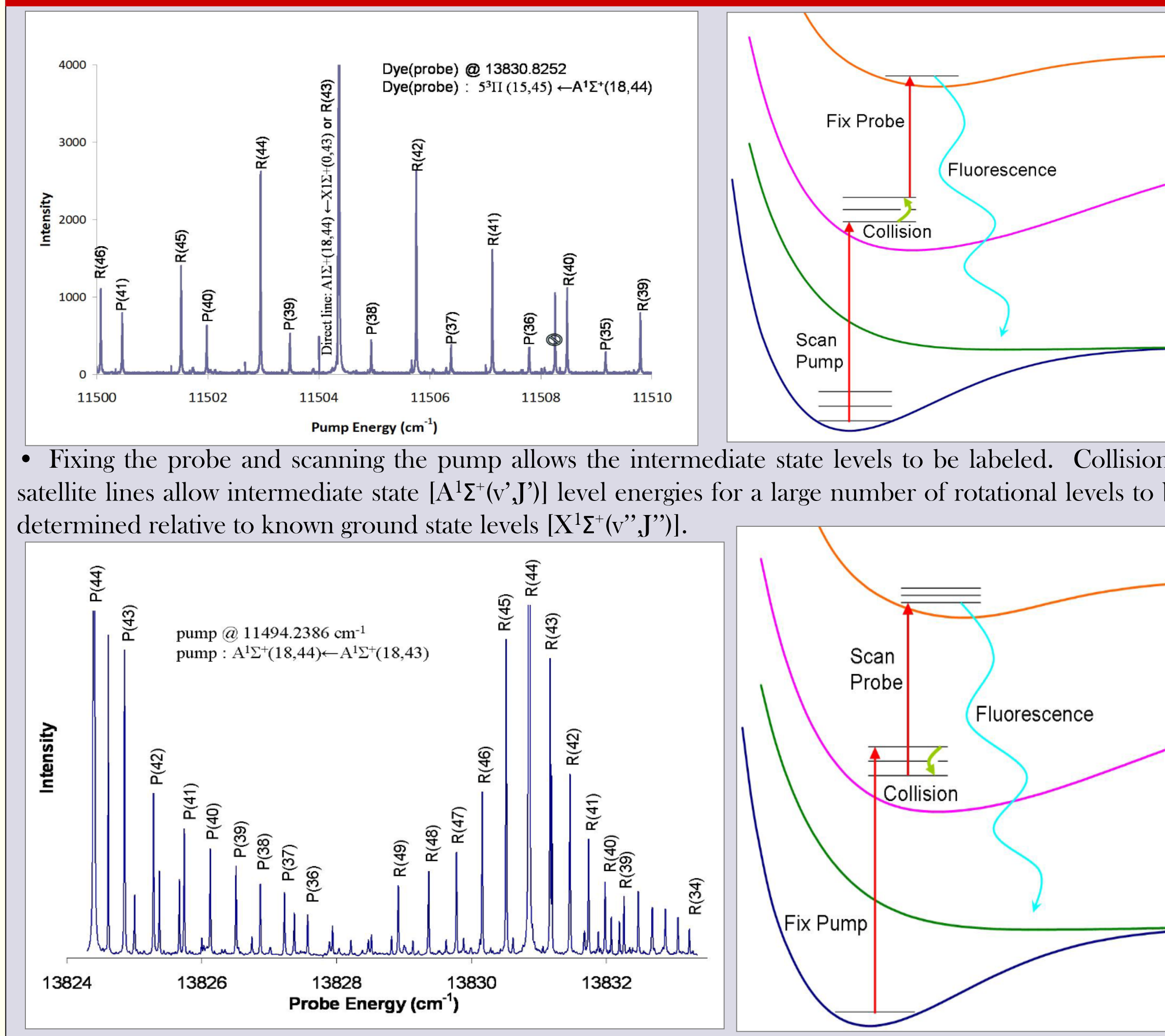
Frank-Condon Factors $A^1\Sigma^+ \leftarrow X^1\Sigma^+$



Double Resonance Excitation



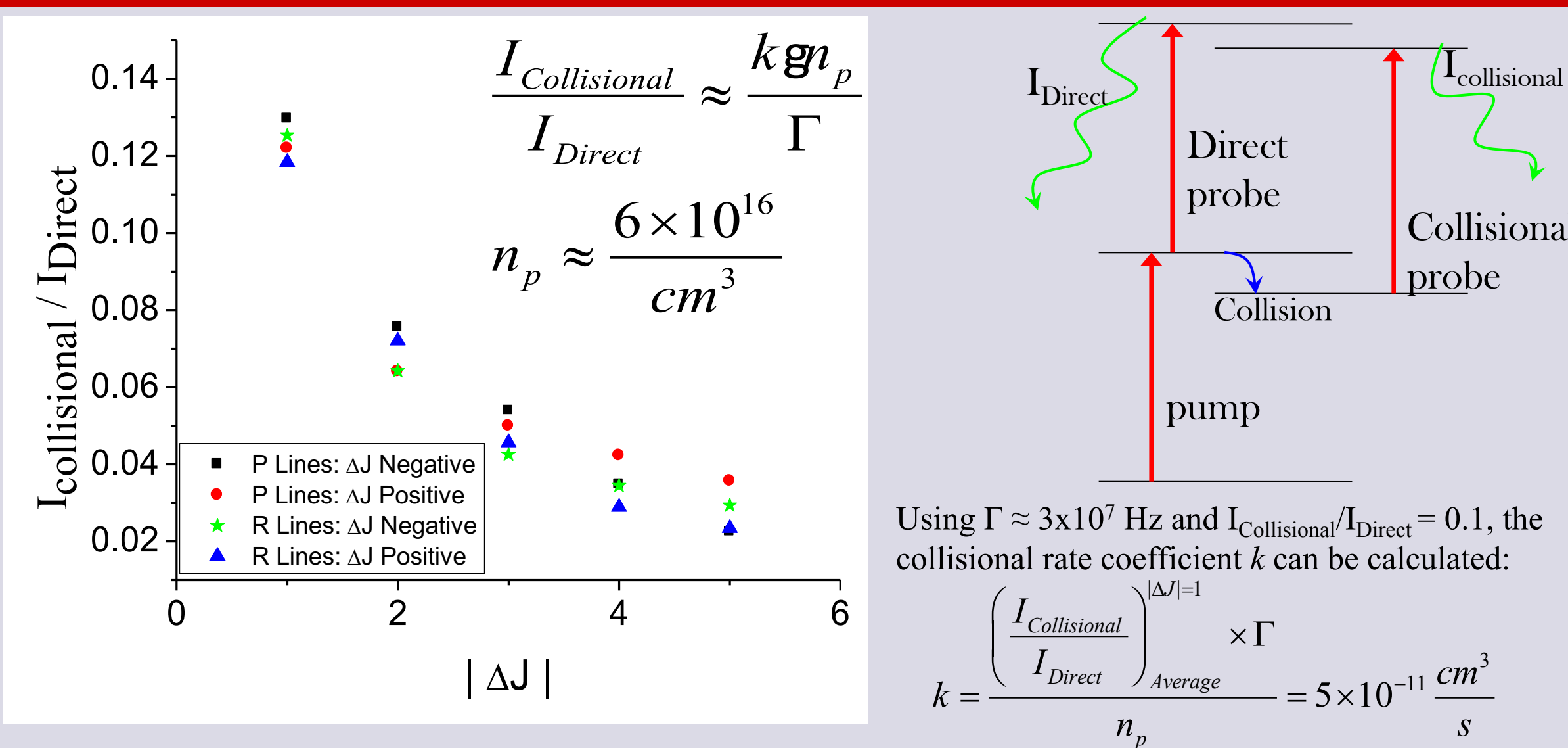
Collisional Population Transfer



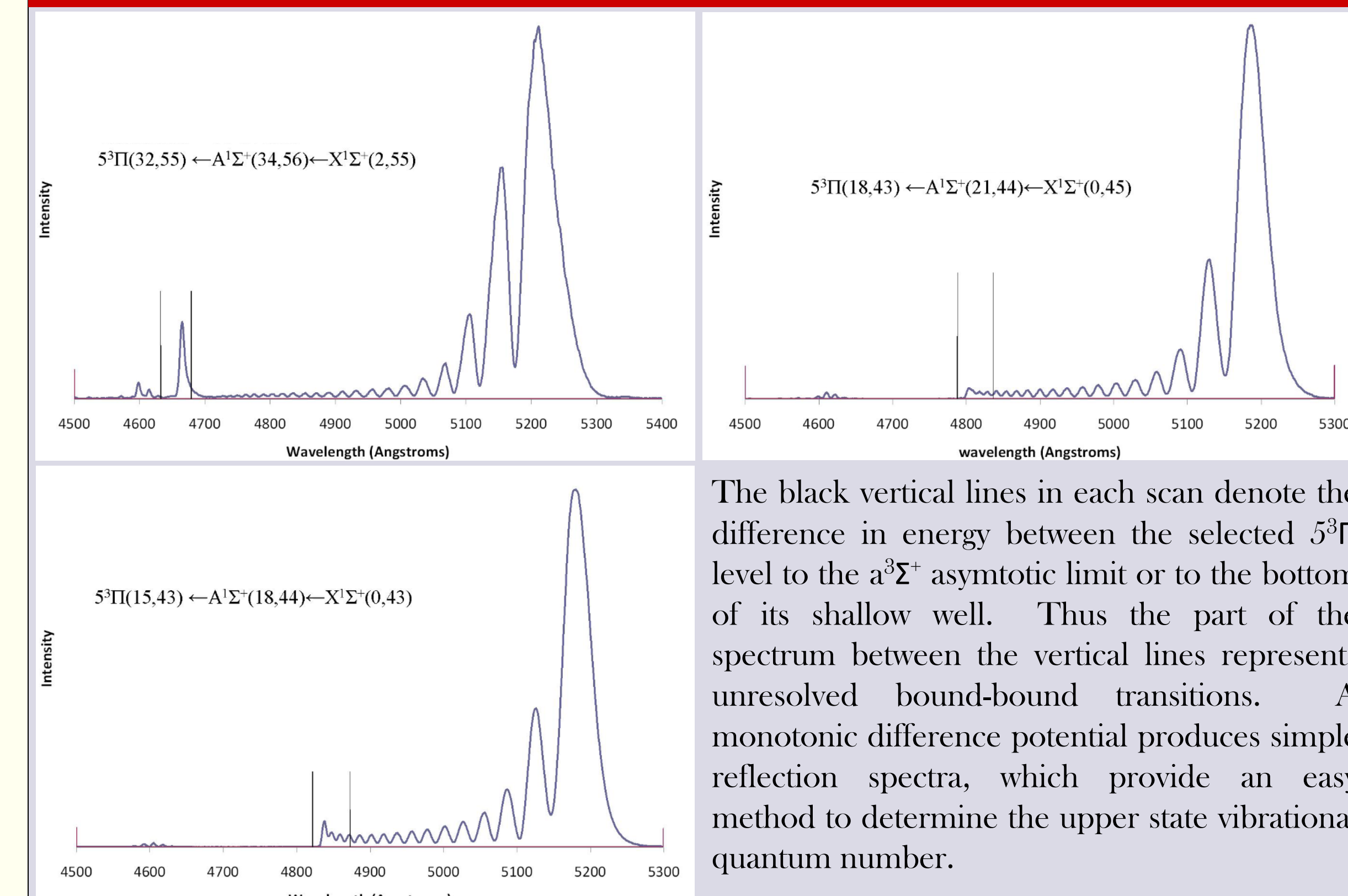
• Fixing the probe and scanning the pump allows the intermediate state levels to be labeled. Collisional satellite lines allow intermediate state $[A^1\Sigma^+(v', J)]$ level energies for a large number of rotational levels to be determined relative to known ground state levels $[X^1\Sigma^+(v'', J'')]$.

• Then fixing the pump and scanning the probe allows the excited state levels to be labeled. Again collisional satellite lines allow the upper state level energies for a large number of rotational levels to be accurately determined relative to $A^1\Sigma^+(v', J')$ levels.

Collision Rates

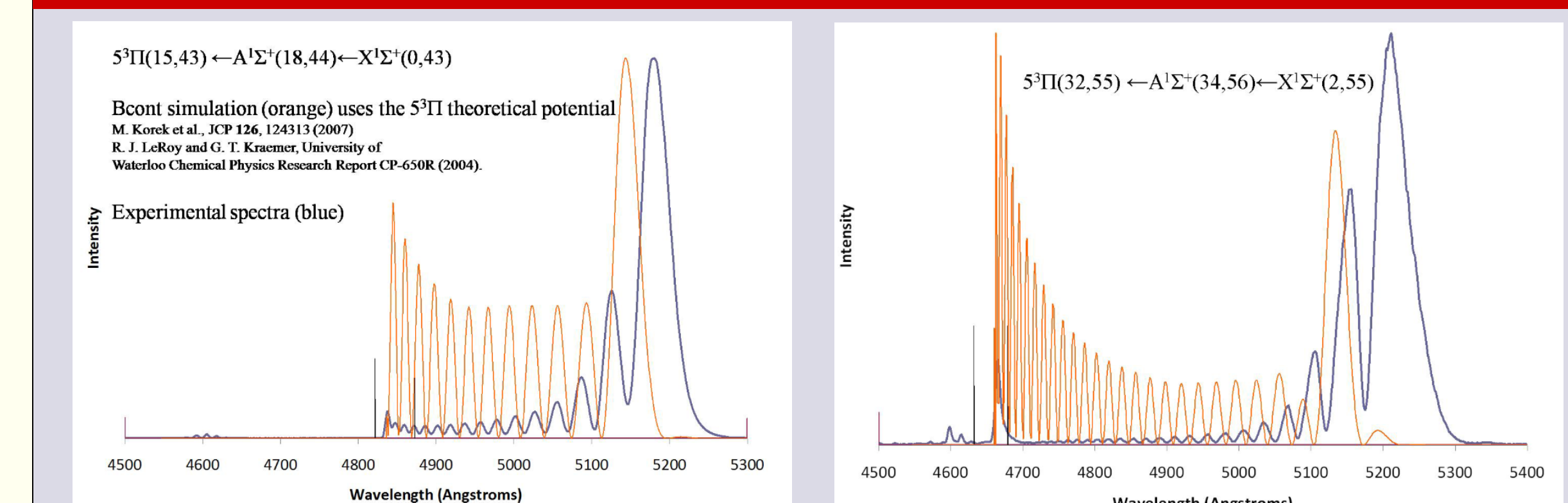


Resolved $5^3\Pi_0$ Fluorescence Spectra

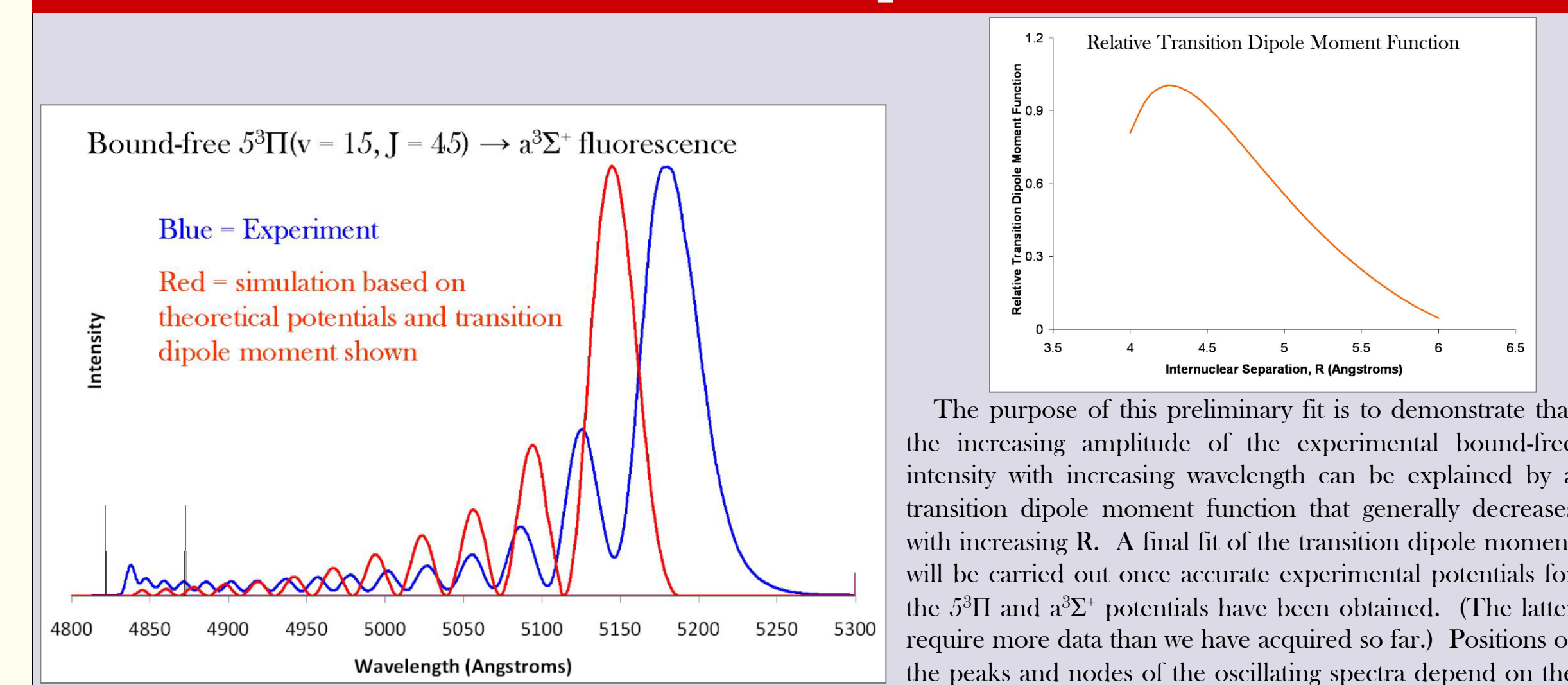


The black vertical lines in each scan denote the difference in energy between the selected $5^3\Pi$ level to the $a^3\Sigma^+$ asymptotic limit or to the bottom of its shallow well. Thus the part of the spectrum between the vertical lines represents unresolved bound-bound transitions. A monotonic difference potential produces simple reflection spectra, which provide an easy method to determine the upper state vibrational quantum number.

Spectra Simulation using BCont: Constant Transition Dipole Moment



Spectra Simulation using BCont: Fit of Relative Transition Dipole Moment Function



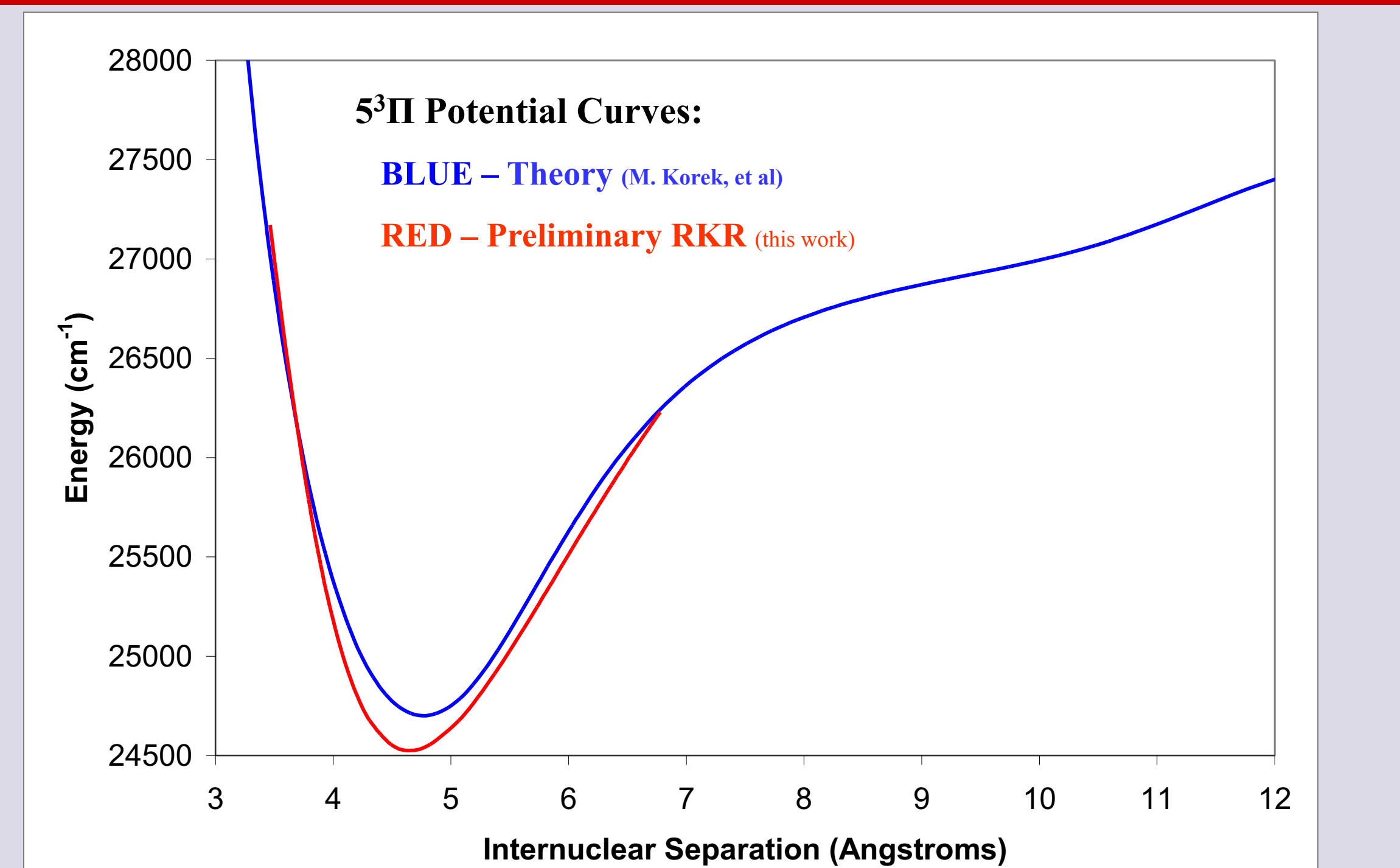
The purpose of this preliminary fit is to demonstrate that the increasing amplitude of the experimental bound-free intensity with increasing wavelength can be explained by a transition dipole moment function that generally decreases with increasing R . A final fit of the transition dipole moment will be carried out once accurate experimental potentials for the $5^3\Pi$ and $a^3\Sigma^+$ potentials have been obtained. (The latter require more data than we have acquired so far.) Positions of the peaks and nodes of the oscillating spectra depend on the upper and lower state potential energy curves while peak amplitudes depend on the transition dipole moment function.

Preliminary Dunham Coefficients for $5^3\Pi_0$ State

| Parameter | Energy* ± Error** (cm^{-1}) | Theoretical values*** (cm^{-1}) |
|-----------|---|-------------------------------------|
| T_e | 24525.5 ± 6.2 | 24880 |
| $Y(1,0)$ | 61.18 ± 0.55 | 58.6 |
| $Y(2,0)$ | -0.270 ± 0.013 | - |
| $Y(0,1)$ | 0.0398 ± 0.0020 | 0.0394 |
| $Y(1,1)$ | $-2.4 \pm 0.95 \times 10^{-4}$ | - |
| $Y(0,2)$ | -2.0279×10^{-8} (fixed in fit) | - |

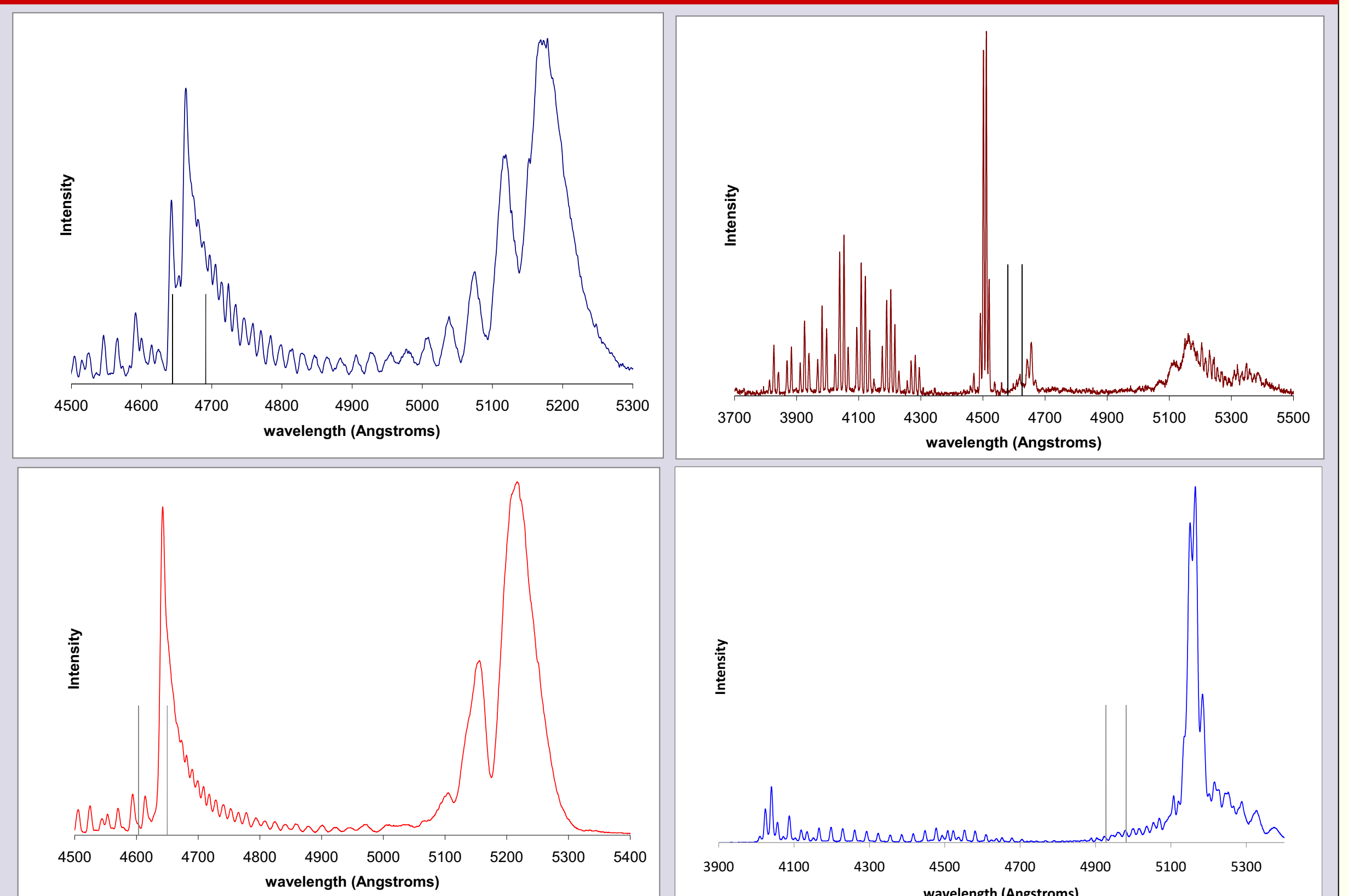
*Fit using DParfit program
R. J. LeRoy, DParfit 3.3: A Computer Program for Fitting Multi-Isotopologue Diatomic Molecule Spectra, University of Waterloo Chemical Physics Research Report CP-653 (2001)
**Statistical error only
***M. Korek et al., JCP 126, 124313 (2007)

$5^3\Pi_0$ RKR and Theoretical Potentials

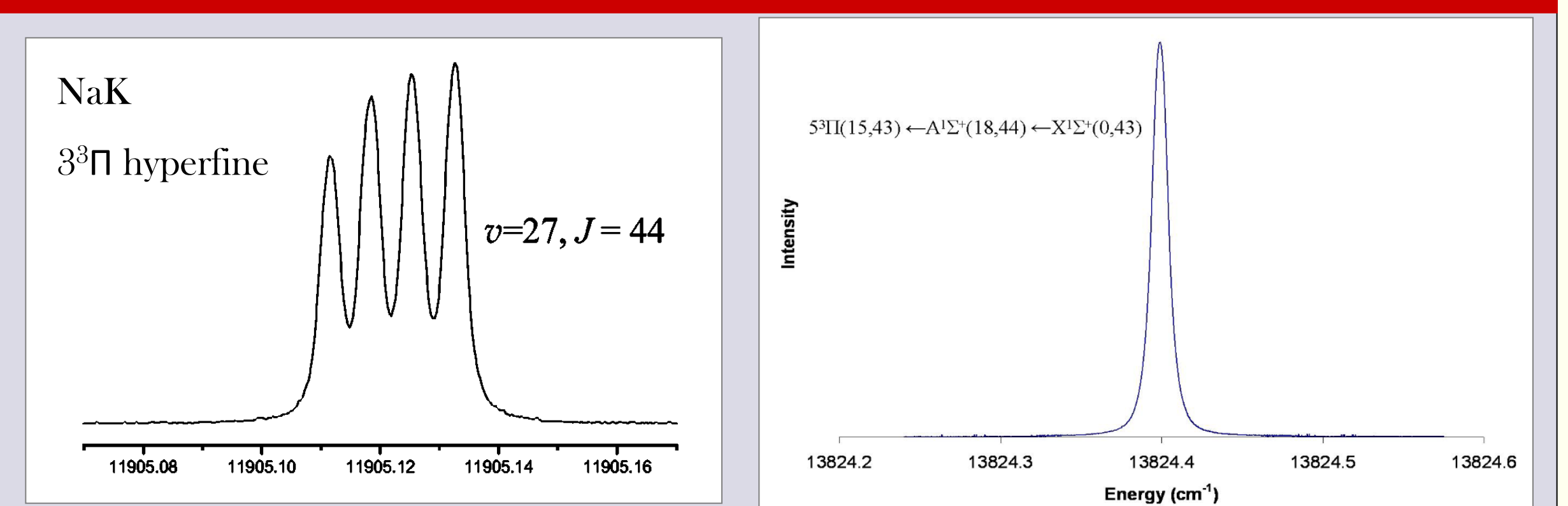


M. Korek et al., JCP 126, 124313 (2007)
R. J. LeRoy, RKR 2.6: A Computer Program Implementing the First-Order RKR Method for Determining Diatomic Molecule Potential Energy Curves, University of Waterloo, Chemical Physics Research Report CP-67R (2001)

Spectra of Other NaCs Excited States Under Investigation



Hyperfine Structure



Previous work on NaK showed a rich variety of hyperfine structure. Ongoing studies of NaCs have yet to reveal clear hyperfine structure.

Hyperfine interaction in NaCs should be described by:

$$E_{\text{hfs}} = b_F \mathbf{I} \cdot \mathbf{S}$$

$$b_F^{\text{Na}} = 886 \text{ MHz} \quad I_{\text{Na}} = 3/2$$

$$b_F^{\text{Cs}} = 2298 \text{ MHz} \quad I_{\text{Cs}} = 7/2$$

From this we expect a larger hyperfine interaction for NaCs. However, states of NaK can often be described by Hund's case b_{HJ} , while NaCs has a much stronger spin-orbit interaction and is likely described by Hund's case c.

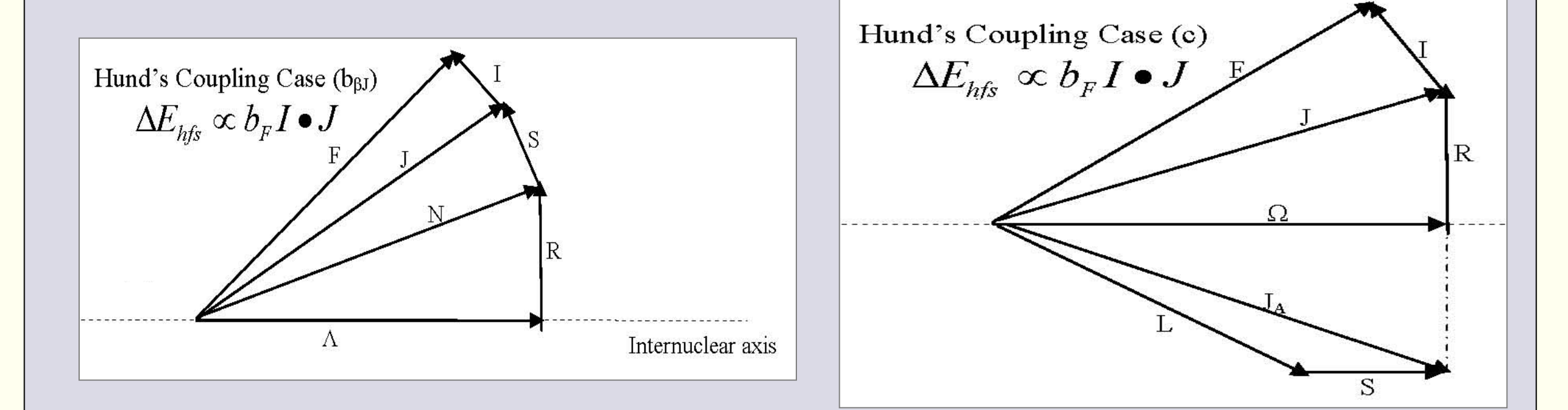
Hund's case b_{HJ}

$$E_{\text{hfs}}^{b_{HJ}} \approx \frac{b_F K}{4} \frac{J(J+1) - S(S+1) - N(N+1)}{J(J+1)}$$

Hund's case c

$$E_{\text{hfs}}^c \approx \frac{b_F K}{2} \frac{\Sigma \Omega}{J(J+1)}$$

$K = [F(F+1) - J(J+1) - I(I+1)]$



Therefore, the hyperfine structure might only be observable at lower J values than those we have studied.