

**1 How dual-polarization radar observations can be**  
**2 used to verify model representation of secondary ice**

Victoria A. Sinclair,<sup>1</sup> Dmitri Moisseev,<sup>1,2</sup> Annakaisa von Lerber,<sup>2,3</sup>

---

Corresponding author: Victoria Sinclair, Department of Physics , University of Helsinki, Finland. (victoria.sinclair@helsinki.fi)

<sup>1</sup>Department of Physics, University of Helsinki, Helsinki, Finland

<sup>2</sup>Finnish Meteorological Institute, Helsinki, Finland.

<sup>3</sup>School of Electrical Engineering, Aalto University, Finland.

**Abstract.** In this paper it is discussed how dual-polarization radar observations can be used to verify model representations of secondary ice production. An event where enhanced specific differential phase,  $K_{dp}$ , signatures in snow occur at the altitudes where temperatures lie in the range between -8 and -3 °C is investigated. By combining radar and surface-based precipitation observations it is shown that these dual-polarization radar signatures are most-likely caused by ice with concentrations exceeding those expected from primary ice parameterizations. It is also shown that the newly formed ice particles readily aggregate, which may explain why  $K_{dp}$  values seem to be capped at 0.2-0.3 °km<sup>-1</sup> for a C-band radar. For the event of interest, multiple high resolution (1 km) Weather Research and Forecasting (WRF) model simulations are conducted. When the default versions of the Morrison microphysics schemes was used, the simulated number concentration of frozen hydrometeors is much lower than observed and the simulated ice particles concentrations are comparable with values expected from primary ice parameterizations. Higher ice concentrations, which exceed values expected from primary ice parameterizations, were simulated when ad-hoc thresholds for rain and cloud water mixing ratio in the Hallett-Mossop part of the Morrison scheme were removed. These results suggest that the parameterization of secondary ice production in operational weather prediction models needs to be re-visited and that dual-polarization radar observations, in conjunction with ancillary observations, can be used to verify them.

## 1. Introduction

25 Currently one of the major uncertainties in climate projections is due to feedbacks  
26 between clouds and radiation [*Webb et al.*, 2013; *Pachauri et al.*, 2014]. One reason for  
27 this is that detailed microphysical observations of cloud properties are still somewhat  
28 limited and thus microphysical parameterizations which are implemented in both weather  
29 prediction and climate models are difficult to verify [*Klein et al.*, 2013].

30 One of the longer standing challenges in microphysics is to account for the high number  
31 of ice particles observed relative to the number of ice nuclei. Several processes of ice  
32 multiplication have been suggested to explain this discrepancy. Shattering or partial frag-  
33 mentation during the freezing of large supercooled drops is one such method [e.g. *Koenig*,  
34 1963, 1965; *Rangno and Hobbs*, 2001]. A second potential method is spicule formation dur-  
35 ing the freezing of large drops. The spicules emit liquid bubbles that subsequently burst to  
36 produce multiple ice particles [e.g. *Rangno and Hobbs*, 2005; *Lawson et al.*, 2015]. A third  
37 potential mechanism of ice multiplication is the fragmentation of pre-existing ice particles  
38 due to ice particle-ice particle collisions [e.g. *Vardiman*, 1978; *Yano and Phillips*, 2011].  
39 A fourth potential mechanism is the production of secondary ice during the evaporation  
40 of single particles including aggregates [*Beard*, 1992]. The final, most studied process,  
41 and the only secondary ice production process which is commonly included in operational  
42 weather prediction models, is rime splintering which is more commonly known as the  
43 Hallett-Mossop (H-M) process [*Hallett and Mossop*, 1974].

44 *Hallett and Mossop* [1974] conducted laboratory studies which showed that during the  
45 riming process ice splinters can be ejected during the freezing of supercooled liquid parti-

cles under certain conditions, namely at temperatures between  $-8^{\circ}\text{C}$  and  $-3^{\circ}\text{C}$ , and when liquid droplets with diameters greater than  $25\mu\text{m}$  are present. However, few studies have shown any direct evidence of the H-M process occurring in the atmosphere. Recently, studies have shown circumstantial evidence which suggests the H-M process is occurring. For example, *Crawford et al.* [2012] combined aircraft observations, ground-based remote sensing and model simulations to identify ice formation processes. They concluded that secondary ice production via the H-M process was most likely active as in-situ observations showed small columnar crystals were present in the same sample volume as supercooled droplets and graupel, and that total ice number concentrations were far greater than what would be expected from primary ice production. In a similar study, *Crosier et al.* [2014] observed the "effects of ice multiplication" in a narrow cold front rainband and concluded that the H-M process was likely occurring as large ice particle number concentrations ( $> 100 \text{ L}^{-1}$ ) were observed, the observed ice particles were columns, and the temperature was between  $-3$  to  $-8^{\circ}\text{C}$ . Both of these studies considered shallow convective clouds whereas in this study the focus is on stratiform frontal cloud bands that occurred in the cold season. Furthermore, while *Crawford et al.* [2012] and *Crosier et al.* [2014] relied heavily on in-situ aircraft data, in this study ground-based remote sensing and surface observations are considered which provide much longer time series of observations and more spatially expansive observations than aircraft based measurements.

The recent upgrade of many national weather radar networks to dual-polarization radar technology [*Doviak et al.*, 2000; *Bringi and Chandrasekar*, 2001] brings a new opportunity of using these state-of-the-art observations for documenting cloud and precipitation processes and for validating model parametrizations. *Hogan et al.* [2002] have presented

69 measurements of embedded convection in a deep frontal ice cloud, where a region of en-  
70 hanced differential reflectivity ( $Z_{dr}$ ) coinciding with a turret of rising liquid water droplets  
71 was observed. They have advocated that the observed  $Z_{dr}$  is caused by needles formed  
72 by the H-M process. As the dual-polarization radar signature of newly formed needles  
73 is masked by that of graupel particles, which have much larger radar cross sections, the  
74 enhanced differential reflectivity values were observed in updrafts and not in the regions  
75 where the rime splintering process was taking place. Similar observations are reported  
76 by [Giangrande et al., 2016]. Oue et al. [2015] used linear depolarization measurements  
77 at vertical incidence and Doppler spectra to detect columnar crystals and signatures of  
78 riming. They argued that, since the columnar crystals in their cases were formed at al-  
79 titudes where temperatures lie in the range favorable for the H-M process to occur and  
80 that spectra show signatures of riming, the formed crystals are secondary ice produced by  
81 rime splintering. In both Hogan et al. [2002] and Oue et al. [2015], as is the case in most  
82 radar-based studies, the evidence presented for secondary ice production is circumstantial  
83 and mainly relies on the detection of newly formed ice particles at certain temperatures.

84 *Grazioli et al.* [2015] have reported that the enhanced  $K_{dp}$  signatures appear in regions  
85 where riming takes place and the production of ice needles is observed. They have argued  
86 that this may be an indication of the H-M process. *Kumjian et al.* [2016] have used  
87 this radar signature as an indicator for riming, given that it has to take place in the  
88 region where the H-M process is active. Thus, the aim of this study is to show that  
89  $K_{dp}$  observations can identify regions where newly formed ice particles in the -3 to -  
90 8°C temperature region exceed those expected from primary ice parameterizations, and  
91 therefore, in conjunction with additional observations, can identify areas of secondary ice

92 production. The second aim is to use these observations to ascertain if secondary ice  
93 production can be captured by a numerical weather prediction model and identify any  
94 limitations in the current parameterization of this process. In the case study presented  
95 here, dual-polarization radar observations are supplemented by microwave radiometer  
96 measurements, surface-based precipitation microphysics measurements and radiosonde  
97 soundings.

## 2. Data and Methods

98 In this study we analyze observations made at Hyytiälä, Finland (61°51'N,24°17'E,  
99 181 m above sea level, Fig. 1) during the Biogenic Aerosols — Effects on Clouds and  
100 Climate (BAECC) campaign [*Petäjä et al.*, 2016] and combine these observations with  
101 results from a numerical weather prediction (NWP) model. The BAECC campaign took  
102 place between 1 February 2014 and 14 September 2014 during which time the United  
103 States Department of Energy's Atmospheric Radiation Measurement (ARM) Program  
104 ARM Mobile Facility (AMF2) was deployed to Hyytiälä. During the BAECC campaign  
105 an intensive observation period (IOP), termed the BAECC Snowfall Experiment (SNEX)  
106 focusing on snowfall, was undertaken from 1 February through 30 April 2014. During the  
107 BAECC-SNEX IOP, more than 20 snowfall events, where surface temperature was below  
108 0°C were recorded. Using dual-polarization radar observations, eleven snowfall cases were  
109 identified as having elevated values of specific differential phase.

110 From these cases, three exhibited clear signatures at the height where air temperature  
111 ranged between -8 and -3°C. Model simulations of these three cases were conducted;  
112 however, for brevity, only the 15–16 February 2014 case is discussed here. This case is  
113 the simplest and is also the only case where the dual-polarization radar signatures took

114 place just above ground – between the surface and a height of approximately 1.5 km –  
115 and hence surface-based precipitation microphysics measurements can be used to support  
116 the analysis.

## 2.1. Radar and microwave radiometer observations

117 Observations from two radars are used in this study: the Finnish Meteorological In-  
118 stitute Ikaalinen radar, which is a dual-polarized C-band weather radar [*Saltikoff et al.*,  
119 2010], and the ARM Ka-band scanning cloud radar (Ka-SACR) [*Kollias et al.*, 2014a, b].  
120 The Ikaalinen radar operates in simultaneous transmission and simultaneous reception  
121 mode [*Doviak et al.*, 2000]. Observations of equivalent reflectivity factor ( $Z_e$ ), differential  
122 reflectivity ( $Z_{dr}$ ) and specific differential phase ( $K_{dp}$ ) are analyzed here. The radar is  
123 located 64 km east of the Hyytiälä site and performs range height indicator (RHI) scans  
124 over the site every 15 minutes and low-level (elevation angle  $0.3^\circ$ ) plan position indica-  
125 tor (PPI) scans every 5 minutes.  $K_{dp}$  is calculated using the *Chanthavong et al.* [2010]  
126 implementation of the method proposed by *Wang and Chandrasekar* [2009].

127 The Ka-SACR performed a variety of scans during the BAecc experiment [*Kollias*  
128 *et al.*, 2014a]. On 15 Feb 2014 the radar was pointing vertically during the whole pre-  
129 cipitation event and results from this event are presented in this paper. In addition to  
130 equivalent radar reflectivity, Ka-SACR measures linear depolarization ratio ( $LDR$ ).

131 During BAecc the AMF2 instrumentation included two-channel (23.8 and 31.4 GHz)  
132 and three-channel (23.8, 30, and 89 GHz) microwave radiometers. From the measured  
133 brightness temperature, integrated water vapor and liquid water paths ( $LWP$ ) are de-  
134 rived [*Cadeddu et al.*, 2013]. In this study,  $LWP$  data calculated from the two-channel  
135 microwave radiometer are used, though a comparison between the 2-channel and 3-channel

136 radiometer *LWP* data showed little difference. The expected uncertainty in *LWP* esti-  
137 mates is about  $0.02 \text{ kg m}^{-2}$  [Cadeddu *et al.*, 2013].

## 2.2. Surface precipitation observations

138 The utilized surface precipitation instrumentation is part of the Global Precipitation  
139 Measurement (GPM) ground validation program of NASA. Analysis of the  $K_{dp}$  signatures  
140 is supported by ground-level observations of the microphysical properties of snow parti-  
141 cles measured with NASA Particle Imaging Package (PIP), an improved version of the  
142 Snowflake Video Imager (SVI) [Newman *et al.*, 2009]. PIP records gray-scale images of  
143 the falling particles with a high frame-rate video camera as the particles fall in between  
144 the camera and an external light source. As PIP has a higher frame-rate than SVI, fall  
145 velocity measurements are possible even though the measurement volume of PIP is larger  
146 (field of view is  $64 \times 48 \text{ mm}$ ) than of SVI. All other particle image properties are obtained  
147 according to the SVI particle detection algorithm [Newman *et al.*, 2009]. PIP is located  
148 on the measurement field in Hyytiälä, approximately 50 m from the ARM AMF2 radars.

PIP particle data is recorded into 105 diameter bins with centers ranging from 0.125  
to 26.125 mm. The measurements in the first bin are deemed unreliable and not used  
in the analysis. The disk equivalent diameter,  $D_{deq}$ , is defined as the diameter of a disk  
which has the same area as the measured area of the pixels included in the particle image,  
i.e. the total particle area. The particle size distribution (PSD) is recorded by PIP  
every minute and in this study the derived parameters — total particle concentration  $N_t$ ,  
median volume diameter  $D_0$  and maximum diameter  $D_{max}$  — are shown for five minute



time periods.  $N_t$  and  $D_0$  are calculated as follows:

$$N_t = \int_{D_{min}}^{D_{max}} N(D_{deq}) dD_{deq}, \quad (1)$$

$$\int_{D_{min}}^{D_0} D^3 N(D_{deq}) dD_{deq} = \int_{D_0}^{D_{max}} D^3 N(D_{deq}) dD_{deq} \quad (2)$$

149 where  $N(D_{deq})$  is the PSD and  $D_{min}$  and  $D_{max}$  are minimum and maximum particle  
 150 diameters used for the analysis. The single counts of questionable large particles are  
 151 filtered before integrating over the mean distribution of five minutes for obtaining  $N_t$ .  
 152  $D_0$  is also derived for the averaged distribution of five minutes, whereas  $D_{max}$  is the  
 153 largest diameter observed during the five minute time period. The expected uncertainty  
 154 of the retrieved PSD parameters is less than 10% but depends on the number of recorded  
 155 particles during the observation period. Given that during the period of interest  $N_t$  did  
 156 not change significantly, it is also expected that the uncertainty does not vary considerably  
 157 in time either.

158 In addition to particle number concentrations, size, and velocity, information about  
 159 particle shape is recorded. This includes parameters such as the dimensions of a bounding  
 160 box, particle orientation angle, etc. From the bounding box dimensions and particle  
 161 orientation, minor and major axes of the equivalent ellipse are calculated. The particle  
 162 aspect ratio is defined as the ratio of the ellipse's minor and major axes. The area ratio  
 163 is calculated from the measured total particle area and the area of a disk with the radius  
 164 equal to major axis of the equivalent ellipse. It should be noted that because particle shape  
 165 parameters, such as size, axis, and area ratios, are estimated from the two-dimensional  
 166 projections they may differ from the true particle shape parameters as discussed, for  
 167 example, by *Wood et al.* [2013]; *Tiira et al.* [2016].

168 Two weighing gauges are used to measure the liquid equivalent accumulation of the  
169 snow events. OTT Pluvio<sup>2</sup> 200, with a collecting area of 200 cm<sup>2</sup> and a Tretyakov-type  
170 wind shield, is located at a height of 3 m inside a wind protection fence similar to the  
171 WMO standard Double-Fence Intercomparison Reference (DFIR) whereas OTT Pluvio<sup>2</sup>  
172 400, with collecting area of 400 cm<sup>2</sup> and both standard Alter- and Tretyakov-type wind  
173 protection shield [Rasmussen *et al.*, 2012], is placed on the field outside the wind fence.  
174 Both gauges agree well as, in addition to the wind fences, the Hyytiälä measurement field is  
175 sheltered by trees reducing under-catchment of the gauges because of the wind conditions.  
176 Accumulation data of the gauges is recorded every minute, but for comparison with model  
177 output, 10-minute accumulations are considered here.

178 The meteorological observations of temperature and surface pressure are measured by  
179 ARM meteorological tower instrumentation [Kyrouac and Holdridge, 2014] at a height  
180 of 10 m next to the ARM AMF2 radars. The archived data is averaged over 60 seconds  
181 but to enable fair comparison with model output, 10-minute averages are analyzed.

### 2.3. Weather Research and Forecasting (WRF) Model Simulations

182 Model simulations were conducted using version 3.6.1 of the Weather Research and Fore-  
183 casting (WRF) model [Skamarock *et al.*, 2008]. WRF is a state-of-the-art, non-hydrostatic  
184 mesoscale Numerical Weather Prediction (NWP) model that is used extensively for both  
185 operational forecasting and research. WRF includes multiple parametrizations for each  
186 physical process (microphysics, boundary-layer turbulence etc.) which range in the level  
187 of complexity. In this study 36-hour simulations initialized using ERA-Interim reanalysis  
188 data [Dee *et al.*, 2011] are conducted starting approximately 12 hours before the time  
189 of interest to enable the model to spin-up. The simulations consist of an outer domain

190 and three nested domains (Fig. 1); the outer domain has a horizontal grid spacing of  
191 27 km which covers most of Europe, a second domain with a grid spacing of 9 km cov-  
192 ering Northern Europe, a third domain with a grid spacing of 3 km covering Sweden,  
193 Norway, Finland and the Baltic countries and an inner nested domain with a grid spac-  
194 ing of 1 km which covers south and central Finland and the surrounding sea areas. The  
195 inner-most domain has  $501 \times 621$  grid points and it is output from this inner domain  
196 which is analyzed and presented here. All domains have 60 model levels which results  
197 in a vertical grid spacing of less than 100 m in the boundary layer and approximately  
198 300 m in the mid-troposphere. The simulations are conducted using the YSU boundary  
199 layer parameterization, the Kain-Fritsch cumulus convection scheme (only applied in the  
200 two outer domains), the RRTM longwave radiation scheme and the Dudhia short-wave  
201 radiation scheme.

202 The WRF simulations are conducted with the double-moment Morrison microphysics  
203 scheme [Morrison *et al.*, 2005] which predicts the mixing ratio of water vapor and five  
204 hydrometeor species (ice, snow, graupel, rain and cloud liquid) as well as the number  
205 concentration of ice, snow, graupel and rain particles. Secondary ice production due to  
206 rime-splinters is parameterized following Hallett and Mossop [1974]. For the H-M part  
207 of the parameterization to become active the temperature must be between  $-3^{\circ}\text{C}$  and  
208  $-8^{\circ}\text{C}$ , graupel must be being produced, and the collection of cloud water by snow or the  
209 collection of snow by rain must also be occurring. An additional requirement is that the  
210 snow mixing ratio must exceed  $0.1 \times 10^{-3} \text{ kg kg}^{-1}$  and that either the cloud water mixing  
211 ratio exceeds  $0.5 \times 10^{-3} \text{ kg kg}^{-1}$  or that the rain mixing ratio exceeds  $0.1 \times 10^{-3} \text{ kg kg}^{-1}$ .  
212 These ad-hoc values originate from Lin *et al.* [1983] and were also applied by Rutledge

213 *and Hobbs* [1984]. In both of these earlier studies, these values were applied as thresholds  
 214 for the production of graupel, not as thresholds for the activation of the H-M process as  
 215 is the case in the Morrison microphysics scheme.

In addition to the control simulation with the default Morrison microphysics parameterization scheme, sensitivity experiments (see Table 1) were conducted to investigate the impact of the cloud water and rain mixing ratio thresholds in the H-M parameterization simply by removing these thresholds from the parameterization. Sensitivity experiments were also conducted to determine the impact of the parameterization of primary ice production. In the default Morrison scheme, the number of primary ice particles  $N_{\text{piece}}$  is parameterized using the Cooper curve [Cooper, 1986]

$$N_{\text{piece}} = 0.005 \exp(0.304(273.15 - T_k)) \quad (3)$$

where  $T_k$  is temperature in degrees Kelvin. In the sensitivity experiment, referred to as DeMott, the Cooper curve was replaced by

$$N_{\text{piece}} = 0.117 \exp(0.125(273.15 - T_k)) \quad (4)$$

216 which corresponds to the gray dashed line in Figure 2 of *DeMott et al.* [2010]. Note that  
 217 this is not the parameterization proposed by *DeMott et al.* [2010] for ice nuclei concentration  
 218 which is a function of number concentration of particles larger than  $0.5\mu\text{m}$  diameter  
 219 and temperature. Equation 4, subsequently referred to here as the "DeMott" curve, produces  
 220 more ice particles than the Cooper curve at temperatures warmer than  $-17.5^\circ\text{C}$  but  
 221 fewer at colder temperatures. Finally, an experiment was conducted in which the production  
 222 rate of ice due to the H-M process was multiplied by a factor of 10. A summary of  
 223 the WRF experiments is given in Table 1.

### 3. Results

#### 3.1. Synoptic Situation

224 At 12 UTC 15 February a mature occluded low pressure system with a central pressure  
225 of 964 hPa was centered over the North Sea. Associated with this system was a mature  
226 occluded front over the North Sea, southern Norway, and Denmark as well as a trailing  
227 cold front and a weak warm front to the south over Germany. Between 12 UTC 15  
228 February and 00 UTC 16 February, this low pressure system and its fronts moved slowly  
229 north-east. By 00 UTC 16 February, the low was centered over western Norway and the  
230 occluded front, which was responsible for the precipitation analyzed in this study, was  
231 oriented North–South over western Finland (Fig. 1).

#### 3.2. Signatures of secondary ice in radar and surface observations

232 At about 2345 UTC on February 15 a layer with enhanced  $K_{dp}$  values was observed  
233 above the Hyttiälä research station. These enhanced  $K_{dp}$  signatures appear as a localized  
234 area with a size of about 20 by 30 km in PPI measurements (Fig. 2) and as a layer in  
235 RHI observations (Fig. 3). The layer persisted for about an hour and extended from the  
236 ground to a height of 1.5 km as presented in Fig. 3. The  $K_{dp}$  values observed in the RHI  
237 scans directly above Hyttiälä were in the range  $0.16 - 0.2 \text{ }^\circ \text{ km}^{-1}$  with the highest values  
238 recorded at 0013 and 0028 UTC on February 16. It should be noted that values higher  
239 than  $0.2 \text{ }^\circ \text{ km}^{-1}$  were recorded in the PPI observations as shown in Fig. 2. At the same  
240 time and same heights, the Ka-SACR observations show enhanced values of  $LDR$ , which  
241 ranged between -25 and -21 dB. *Oue et al.* [2015] have reported that such  $LDR$  signatures  
242 observed at temperatures favoring rime splinter production can be potentially related to  
243 columnar crystals formed by the H-M process.

244 Unlike  $Z_{dr}$  and  $LDR$ ,  $K_{dp}$  is not sensitive to spherical particles, such as lump graupel, or  
245 to low density particles, such as aggregates. Furthermore,  $K_{dp}$  is proportional to the num-  
246 ber concentration of non-spherical dense particles, for example, needles. This makes  $K_{dp}$   
247 a suitable tool for detecting areas of secondary ice production when used in conjunction  
248 with ancillary information, for example, temperature obtained from radiosonde soundings  
249 or model profiles. It should be noted that for accurate  $K_{dp}$  estimation, adequate radar  
250 signal is required.

251 Both  $K_{dp}$  and  $LDR$  observations indicate the presence of relatively dense non-spherical  
252 particles. The  $LDR$  observations from before 2330 UTC do show non-spherical particles  
253 that are falling out of a cirrus cloud layer (Fig. 3) to near the surface. At the time the  
254  $K_{dp}$  signature is observed, the particles which are falling from above result in a lower  
255  $LDR$  signal. However at the surface high  $LDR$  values are still observed. Because of the  
256 layer like appearance of the feature it is most probable that these particles were formed in  
257 the layer and did not originate from higher parts of the cloud. The radiosonde sounding  
258 (Fig. 4) shows that temperatures range between -3.5 and -5.5 °C in the layer and that air  
259 was saturated with respect to water. This indicates that ice crystals formed in this layer  
260 should be of the needle type. In addition, the relatively high temperatures observed in  
261 the layer of elevated  $K_{dp}$  values are unfavorable for primary ice production [e.g. *Cotton*  
262 *and Anthes*, 1989].

263 One of the main discriminators between primary and secondary ice is the number con-  
264 centration. Based on parameterizations of primary ice applied in NWP models, the ex-  
265 pected number concentration of primary ice particles formed in the observed layer range  
266 from  $\sim 20 m^{-3}$  to  $200 m^{-3}$ , with the lower bound originating from the Cooper curve

(Eq. 3) and the upper values from the DeMott curve (Eq. 4). To verify whether this number concentration is sufficient to explain the observed  $K_{dp}$  bands scattering calculations were performed. The calculations were performed using Python based T-matrix code [Leinonen, 2014] that is based on earlier studies by Mishchenko and Travis [1994]; Mishchenko et al. [1996] and Wiedaard et al. [1997]. The ice needles were modeled as prolate spheroids with refractive index defined by particle density using the Maxwell Garnett mixing rule [Sihvola, 1999]. There is an uncertainty related to the density of needles. Heymsfield [1972] have reported the density of needles ( $\rho$ ) as a function of their length ( $L$ ) in the form  $\rho = 0.4583L^{-0.117}$ , here centimeter-gram-second (*cgs*) units are used. In many other studies the density of needles was assumed to be one of pure ice,  $0.9 \text{ g cm}^{-3}$ . Since needles are modeled as prolate spheroids, axis ratios need to be assumed to perform the computations. To cover the range of possible axis ratio values [Heymsfield, 1972], computations were performed using values of 3, 5, 10 and 20. Since scattering properties of an ice particle are sensitive to the particle volume and the assumed axis ratio modifies the volume, the results will be affected by the axis ratio choice.

In Fig. 5 the calculated  $LDR$  and  $K_{dp}$  values, assuming that all ice crystals in the observation volume are the same size and that the total concentration is  $1 \text{ m}^{-3}$ , are shown. It can be seen that the assumed needle density has a significant effect on the computed values. In Fig. 5, minimum and maximum dimensions of the observed needles are depicted by circles, as was determined from the PIP observations. Since PIP diameter is the equivalent disk diameter, the transformation of this diameter to the needle length depends on an assumed axis ratio. For the observed range of needle sizes the minimum calculated  $K_{dp}$  value, assuming a crystal concentration of  $1 \text{ m}^{-3}$ , is just under  $0.2 \times 10^{-3} \text{ } ^\circ km^{-1}$

290 and the maximum is  $0.3 \times 10^{-3} \text{ } ^\circ km^{-1}$ , if density given by the *Heymsfield* [1972] relation  
291 is used. For the fixed density particles these values will be  $0.5 \times 10^{-3}$  and  $0.87 \times 10^{-3}$   
292  $^\circ km^{-1}$ , respectively. To convert these values to the ones expected from a population of  
293 primary ice, we should multiply these values by  $200 \text{ } m^{-3}$ , which is the total concentration  
294 of ice nuclei as given by the DeMott curve (Eq. 4) for a temperature of  $-5^\circ C$ . This yields  
295 the range of expected  $K_{dp}$  values for the primary ice particles. If the *Heymsfield* [1972]  
296 density relation is assumed, the expected range is  $[0.04 - 0.06] \text{ } ^\circ km^{-1}$ , and for the fixed  
297 density needles it is  $[0.1 \text{ and } - 0.18] \text{ } ^\circ km^{-1}$ . The range of  $K_{dp}$  values from the constant  
298 density assumption are close to the observed values. Therefore, the conclusion whether  
299 the  $K_{dp}$  signatures are indicative of primary or secondary ice depends on what assumption  
300 we make for particle density and, to a lesser extent, on which empirical relationship (e.g.  
301 the Cooper curve) we use to estimate the number of primary ice particles. The observed  
302  $K_{dp}$  and  $LDR$  signatures can only be attributed to secondary ice if the *Heymsfield* [1972],  
303 or similar, density relation is valid. Growth instabilities observed at high supersaturations  
304 [*Nelson and Knight, 1998*] could be one reason why the needles observed here have lower  
305 densities than pure ice.

306 To support our radar based inferences, analysis of PIP observations was carried out.  
307 Firstly, observations show total concentrations of ice particles in the order of  $10^4 \text{ } m^{-3}$   
308 at the surface (Fig. 6a). Further in-depth analysis is based on two approaches, visual  
309 inspection of recorded particle images as presented in [*Kneifel et al., 2015*] and cluster  
310 analysis of velocity and particle shape observations. By examining the PIP video images  
311 recorded during the event on 15–16 February 2014, see Fig. 10 in *Kneifel et al.* [2015],  
312 it was noted that between 00 - 01 UTC multiple particle types were present. Especially



313 between 0015 and 0045 UTC three particle types are clearly detectable. Indications of  
314 more than one particle type are also visible in velocity and area ratio measurements (Fig.  
315 7c,d), which coincide with the times where increased  $K_{dp}$  values are observed (Fig. 7a,b).  
316 Both approaches show that prior to the high  $K_{dp}$  band being recorded (before 2330 - 2345  
317 UTC 15 February), the surface observations showed only one population of particles which  
318 had typical fall velocities and area ratios of aggregates of moderately rimed dendrites.

319 To disentangle the contributions of the different particle habits to the total concentration  
320 a clustering analysis, assuming a three component Gaussian mixture model [*Mclachlan and*  
321 *Peel*, 2000], was performed. It is assumed that the PIP observations can be explained by  
322 the presence of three particle types, as was determined from the visual image analysis, and  
323 that each particle type corresponds to one of the multivariate Gaussian model densities.  
324 Observed diameters and fall velocities, computed areas and aspect ratios are used as  
325 inputs to the analysis. Parameters of multivariate Gaussian densities are optimized to  
326 maximize posterior probability, i.e. probability of data belonging to a certain cluster  
327 given observations of particle diameters, fall velocities, computed area and aspect ratios.  
328 Assignments of different clusters to particle types are done after the analysis was carried  
329 out using a qualitative assessment of the clusters characteristics. For example, slow falling  
330 non-spherical particles are treated as needles. The cluster analysis of the data yields  
331 total concentrations of respective particle types. It shows that there are about 2300  
332 needles, 1500 needle aggregates and 2300 densely rimed assemblages of dendrites per cubic  
333 meter (Fig. 8). From this total concentration of needles, and the T-matrix calculations,  
334 we can conclude that the density relation proposed by *Heymsfield* [1972] is in better  
335 agreement with  $K_{dp}$  observations than the constant density assumption. Furthermore, the

336 IN concentration expected from empirical relationships ( $\approx 200 \text{ m}^{-3}$ ) is not large enough to  
337 explain the concentrations of needles observed at the surface. It should also be noted that  
338 a large portion of ice particles observed at the surface are needle aggregates. Therefore,  
339 the actual number of needles formed in the layer with elevated  $K_{dp}$  values would be  
340 higher, since a proportion of them are subsequently consumed in the aggregation process.  
341 By depleting needles, aggregation also caps the observed  $K_{dp}$  values. Another interesting  
342 aspect is the appearance of a large number of aggregates in this layer. *Moisseev et al.*  
343 [2015] have advocated that detectable  $K_{dp}$  values are associated with conditions favorable  
344 for the onset of aggregation. Even though their conclusion is based on analysis of  $K_{dp}$   
345 bands that appear at temperatures close to  $-15 \text{ }^\circ\text{C}$ , it seems to hold here as well.

346 The analysis of dual-polarization radar and surface precipitation measurements support  
347 the initial hypothesis that the most probable mechanism responsible for formation of  
348 needles in this layer is the Hallett-Mossop rime splintering process. The  $K_{dp}$  layer appears  
349 at the right temperature range. The air is saturated with respect to water (Fig. 4)  
350 and furthermore, microwave radiometer observations show presence of supercooled liquid  
351 water (Fig. 9). The surface measurements of particles show the presence of heavily rimed  
352 particles needed for the onset of rime splintering process. The resulting total concentration  
353 of newly formed needles exceeds what is expected from primary ice parameterizations. A  
354 side product of this process is the formation of needle aggregates, which were observed on  
355 the ground and can also be seen in the observations of maximum particle diameter shown  
356 in Fig. 6b, which increases during the period when the secondary ice production is active.

### 3.3. Representation of secondary ice in WRF simulations

357 Figures 4 and 10 demonstrate that WRF simulates the large-scale structure of the  
358 frontal system reasonably well. The observed sounding at 00 UTC 16 February shows a  
359 saturated layer between 950 - 875 hPa, a slightly drier layer with a dewpoint depression  
360 of 2°C between 875-725 hPa and another shallow saturated layer between 725-700 hPa  
361 (Fig. 4). This structure is somewhat reproduced in the control WRF simulation. Two  
362 saturated layers (950-900 hPa and 825-775 hPa) separated by a drier layer are simulated  
363 which largely agrees with the observations. Above 700 hPa, the modeled dew point  
364 depression in the control WRF simulations is slightly smaller than observed suggesting  
365 that WRF has too much moisture in the mid-troposphere.

366 The modeled surface pressure, 2-m temperature and accumulated precipitation at the  
367 nearest grid box were compared to observations (Fig. 10). To ensure the validity of using  
368 the nearest grid box, values from the 100 surrounding grid boxes (in a 10 by 10 grid) were  
369 also analyzed (not shown). For precipitation and 2-m temperature variations were very  
370 small, whereas for surface pressure values varied by  $\sim 5$  hPa due to variations in the surface  
371 orography. The simulated surface pressure at the grid point closest to Hyytiälä, in both  
372 simulations, is lower than observed. However the simulated surface pressure at some of the  
373 nearby grid points agrees well with observations (not shown), as does the simulated rate  
374 of decrease of pressure (Fig. 10a). The simulated accumulated precipitation in the control  
375 WRF simulation is much lower than observed (Fig. 10b) but the timing of the onset and  
376 end of the precipitation are well captured indicating that WRF correctly captures the  
377 timing of the frontal passage. The simulated 2-m temperature differs somewhat from the  
378 observations, likely due to limitations in the boundary-layer parameterization scheme in

379 stable conditions. However, the gradual warming associated with the passage of the front  
380 is captured relatively well (Fig. 10c).

381 The critical temperature levels for this study are  $-3^{\circ}\text{C}$  and  $-8^{\circ}\text{C}$  (indicated by the red  
382 isotherms in Fig. 4) which in the observed profile is the part of the atmosphere between  
383 150 m (940 hPa) and 1.9 km (770 hPa). In the control simulation, the  $-3^{\circ}\text{C}$  isotherm  
384 is about 150-200 m higher than observed and the  $-8^{\circ}\text{C}$  isotherms is about 500 m higher.  
385 Therefore, the layer in which secondary ice production by the H-M process is possible  
386 is deeper, and extends higher, in the WRF simulation than in observations. A compari-  
387 son between the observed and model simulated liquid water path (Fig. 9) demonstrates  
388 that WRF correctly simulated the amount of supercooled water in the vertical profile  
389 at the time the elevated  $K_{dp}$  signatures were observed. Therefore, WRF simulates the  
390 correct environmental conditions for the H-M process to occur and therefore it is viable  
391 to investigate the details of the simulated hydrometeors.

392 Height-time cross-sections of WRF simulated hydrometeors and temperature (Fig. 11)  
393 are analyzed to ascertain whether the control WRF simulation produces high ice number  
394 concentrations ( $N_{ice}$ ) indicative of the H-M process. High number concentrations of ice  
395 particles are simulated at temperatures below  $-15^{\circ}\text{C}$  (above  $\sim 4$  km, Fig. 11b). However,  
396 of more interest is the appearance of new ice particles below the  $-8^{\circ}\text{C}$  level but above the  
397  $3^{\circ}\text{C}$  level. In the control simulation, slightly higher ice number concentrations (maximum  
398 value of  $N_{ice}$   $23\text{ m}^{-3}$ ) occur between 00 UTC and 01:30 UTC (Fig. 11b) than in the  
399 same temperature range at other times in the simulation. These ice particles are not  
400 formed by the H-M parametrization, as was confirmed by outputting the ice production  
401 tendencies from the H-M parameterization which were zero in this location (not shown).

402 It was hypothesized that the H-M parameterization did not become active as the Morrison  
403 scheme requires that either the cloud water or rain mixing ratio exceed certain thresholds  
404 (see section 2.3). This hypothesis was tested by performing additional experiments (No  
405 Thres, No Thres + DeMott and HM 10 – see Table 1 for explanations of experiment  
406 names) in which these ad-hoc thresholds were removed.

407 In No Thres (Fig. 12, left column) much higher ice number concentrations (maximum  
408 value,  $5.3 \times 10^3 \text{ m}^{-3}$ ) are simulated between 23:30 UTC and 00:00 UTC at  $\sim 2$  km and  
409 also between 0015 UTC and 02 UTC at lower levels than in the control simulation. The  
410 model calculated ice number production tendencies due to the H-M process (not shown)  
411 confirm that ice was produced due to the H-M parameterization between 2310 and 2345  
412 UTC. In contrast, the high ice number concentrations simulated at lower levels after 00  
413 UTC were not co-located with high ice number production tendencies due to the H-M  
414 process. However, the enhanced ice concentrations simulated at low level after 00 UTC  
415 in No Thres must be associated with the production of secondary ice by the H-M process.  
416 In HM10, (Fig. 12, right column) even higher ice concentrations (maximum value,  $4.9$   
417  $\times 10^4 \text{ m}^{-3}$ ) are simulated both between 2330 UTC and 00 UTC and between 0015 UTC  
418 and 02 UTC.

419 When the primary ice parameterization was changed to the DeMott curve (see supple-  
420 mentary material), removing the ad-hoc cloud water and rain mixing ratio thresholds from  
421 the H-M parameterization had the same affect as when the Cooper curve was used: higher  
422 ice concentrations were observed at low levels. In the DeMott + No Thres experiment,  
423 ice concentrations of approximately  $10^3 \text{ m}^{-3}$  are simulated at 0030 UTC at 1 km.

424 A fair comparison between model-simulated ice particle concentrations and those in-  
425 ferred from  $K_{dp}$  observations or measured at the surface is challenging. Firstly,  $K_{dp}$  based  
426 estimates only account for non-spherical particles. Secondly, the surface PIP observations  
427 only measure particles with diameters larger than 0.375 mm and therefore may under-  
428 estimate the actual total particle number concentration. Finally, while WRF simulates  
429 multiple hydrometeor species, observations measure all frozen hydrometeors together. A  
430 comparison between the observed particle number concentrations at the surface and the  
431 sum of the model simulated frozen hydrometeor — ice, snow and graupel — concentra-  
432 tions,  $N_{ice}$ ,  $N_{snow}$  and  $N_{graupel}$  respectively, at the lowest model level ( $\approx 40$  m a.g.l., Fig.  
433 13a) shows that all model simulations underestimate the number concentrations between  
434 23 and 01 UTC. During this time, the No Thres and HM10 simulations agree best with  
435 observations, however, these simulations may still be under-estimating the total concen-  
436 tration of frozen hydrometeors as the PIP observations are potentially negatively biased  
437 as small particles are not measured. However, Fig. 13a also shows that when the ad-hoc  
438 rain and cloud water mixing ratio thresholds are removed, the simulations over-estimate  
439 the number concentrations after 02 UTC.

440  $K_{dp}$  observations imply that about  $10^3$  m<sup>-3</sup> non-spherical particles were present at 0030  
441 between the surface and 1 km. High  $K_{dp}$  values were also observed earlier at 2343 at  
442 2 – 2.5 km (Fig. 3). In both the control and DeMott simulations, the model simulated  
443 frozen hydrometeors number concentrations at 2330 UTC and at model level 6 ( $\approx 0.63$  km,  
444 Fig. 13b) are approximately  $400$  m<sup>-3</sup>. Higher concentrations are found in No Thres and  
445 HM10 at 2330 UTC. At 0030 UTC, the control and DeMott simulations have almost  
446 an order of magnitude fewer frozen hydrometeors than estimated from  $K_{dp}$  observations

447 whereas better agreement is found between both No Thres and DeMott + No Thres and  
448 observations. Thus, regardless of which primary ice parameterization is used, removing  
449 the thresholds of rain and cloud mixing ratio leads to a significant increase in number  
450 concentration, and consequently, much better agreement with observations.

451 The impact of changing the number concentration of ice particles on the accumulated  
452 surface precipitation was investigated to determine if the representation of secondary ice  
453 production in NWP models could be one source of errors in precipitation forecasts. Re-  
454 moving the rain and cloud water mixing ratio thresholds in both No Thres and DeMott  
455 + No Thres had very little impact on surface precipitation (Fig. 13c), yet when the H-  
456 M production rates were multiplied by 10, accumulated precipitation increased by 10%.  
457 However, the primary ice parameterization also had an impact on the accumulated pre-  
458 cipitation with approximately 14% more precipitation occurring when the Cooper curve  
459 was used compared to the DeMott curve (Fig. 13c).

#### 4. Conclusions

460 In this study we have investigated how dual-polarization radar observations, in combi-  
461 nation with detailed surface-based observation of precipitation microphysical properties,  
462 can be used to evaluate the representation of secondary ice in WRF, a numerical weather  
463 prediction model. Observations obtained during the BAECC-SNEX campaign are ana-  
464 lyzed and high-resolution WRF simulations were conducted. The focus of this paper was  
465 one snowfall event which occurred on 15–16 February 2014 that had an layer of elevated  
466  $K_{dp}$  values between the surface and 1.5 km.

467 This study has shown that  $K_{dp}$  observations enable the detection and characterization  
468 of zones where secondary ice production may be active when combined with ancillary

469 observations and scattering calculations. Scattering calculations in which  $LDR$  and  $K_{dp}$   
470 for ice crystals with dimensions suggested by the PIP observations and a concentration of  
471  $1 \text{ m}^{-3}$  were performed thus allowing estimates of number concentrations to be obtained  
472 from the observed  $K_{dp}$  values. It was shown that if the density of needles is assumed  
473 to be given by the *Heymsfield* [1972] equation, then the number of primary ice particles  
474 estimated using empirical relationships that are applied in primary ice parameterizations,  
475 is too low to explain the observed  $K_{dp}$  values. However, if a constant needle density  
476 is assumed, the observed  $K_{dp}$  values potentially could be explained by the presence of  
477 primary ice. Thus, the assumption for density is critical.

478 The PIP observations show that three types of particles were observed: small needles,  
479 aggregates and rimed particles. Rimed particles are required for the H-M process to  
480 occur, the small needles are an expected product of the H-M process and the aggregates  
481 are thought to form from the newly produced needles. The onset of aggregation of the  
482 newly formed ice particles may explain why  $K_{dp}$  values seem to be capped at 0.2-0.3  
483  $^{\circ}\text{km}^{-1}$ . In addition, the PIP observations show that an order of magnitude more needles  
484 are observed at the surface than primary ice parameterizations would account for.

485 The surface-based and dual-polarization radar observational results presented in this  
486 paper do suggest that a secondary ice production process is occurring. However, it is  
487 exceedingly difficult to prove without any doubt that that process is the Hallett-Mossop  
488 process even though considerable circumstantial evidence exists. Thus, a caveat in using  
489 these observations to validate microphysical schemes is that since the H-M process is the  
490 only secondary ice production method included in the Morrison microphysics scheme,  
491 if the observed secondary ice particles are produced by an alternative process, then the



492 WRF simulations should not be expected to simulate ice concentrations similar to those  
493 observed. However, given the large amount of evidence, i.e. the presence of supercooled  
494 water and of graupel-like particles, the correct temperature range, we propose that the  
495 secondary ice was produced by the H-M process and thus validate the WRF simulations  
496 based on this.

497 Comparisons between the observed and modeled bulk meteorological variables and the  
498 concentration and mixing ratios of hydrometeors were conducted. Firstly, the control  
499 WRF simulation was able to realistically reproduce the timing of the frontal system, the  
500 thermodynamic vertical structure of the atmosphere and the vertically integrated liquid  
501 water path. However, the control simulation underestimated the precipitation rate and the  
502 number of ice particles present in the  $-3^{\circ}\text{C}$  and  $-8^{\circ}\text{C}$  layer despite accurately simulating the  
503 amount of supercooled water and graupel. Additional sensitivity experiments suggested  
504 that the underestimation of ice particles in the  $-3$  to  $-8^{\circ}\text{C}$  layer is at least partly due to  
505 the ad-hoc thresholds of rain and cloud mixing ratios: either the cloud water mixing ratio  
506 must exceed  $0.5 \times 10^{-3} \text{ kg kg}^{-1}$  or the rain mixing ratio must exceeds  $0.1 \times 10^{-3} \text{ kg kg}^{-1}$   
507 for the H-M part of the Morrison microphysics parameterization to become active. These  
508 results suggest that these ad-hoc thresholds should be reconsidered, and their applicability  
509 to high-latitude mixed phase clouds be scrutinized.

510 The cause of the underestimation of the precipitation rate is unclear and may be due  
511 to inaccuracies in the large-scale thermodynamic structure of the atmosphere or due to  
512 the misrepresentation of microphysical processes. Increasing the number of ice particles  
513 produced by the H-M process by multiplying the production rate by a factor of 10 increased  
514 the precipitation amount by  $\sim 10\%$  whereas removing the rain and cloud water mixing

515 ratio thresholds did not have any impact on accumulated precipitation. This suggests that  
516 only when very high ice concentrations are produced by the H-M process, aggregation of  
517 the newly formed particles can enhance surface precipitation.

518 In conclusion, this study has indicated that dual-polarization radar observations, which  
519 are now available from operational radars, can be used to detect zones where secondary  
520 ice production may take place. Further, we have shown an example of how the represen-  
521 tation of secondary ice in microphysical parameterization schemes can be verified using a  
522 combination of dual polarization radar observations, detailed surface precipitation obser-  
523 vations and scattering calculations. The results of this study suggest that current NWP  
524 models which include double moment microphysics schemes and a parameterization of  
525 the H-M processes cannot realistically represent secondary ice. This conclusion is based  
526 on results from one model and one microphysics scheme and only one case study has  
527 been presented here. Therefore, the validity of these results should be further investi-  
528 gated. However, doing so is challenging due to the limited observations of the required  
529 level of detail that are currently available. Therefore, we suggest that long-term detailed  
530 microphysical measurements of surface precipitation are conducted in conjunction with  
531 dual-polarization radar observation. Such measurements would enable advancement of  
532 secondary ice parameterizations.

533 **Acknowledgments.** We acknowledge the work of the Hyttiälä station and ARM  
534 AMF2 personnel for the daily tasks with measurements, especially mentioning Matti  
535 Leskinen and Janne Levula. We would like to thank Susanna Lautaportti for the help in  
536 selecting the cases. We thank the NASA GPM ground validation program and Dr. Walter  
537 Petersen for providing ground-based precipitation instrumentation used in this study. The

538 research of DM was supported by Academy of Finland (grant 263333). DM and VAS were  
539 also supported by the Academy of Finland Finnish Center of Excellence program (grant  
540 272041). AvL was funded by grant of the Vilho, Yrjö and Kalle Väisälä Foundation. The  
541 radar and meteorological data from the BAECC campaign used in this study are available  
542 from the ARM data archive at <http://www.archive.arm.gov>. We acknowledge CSC-IT  
543 Center for Science Ltd for the allocation of computational resources which enabled us to  
544 perform the WRF simulations.

## References

- 545 Barthazy, E., and R. Schefold (2006), Fall velocity of snowflakes of different riming degree  
546 and crystal types, *Atmos. Res.*, *82*, 391–398, doi:10.1016/j.atmosres.2005.12.009.
- 547 Beard, K. V. (1992), Ice initiation in warm-base convective clouds: An assessment of  
548 microphysical mechanisms, *Atmospheric research*, *28*(2), 125–152.
- 549 Bringi, V. N., and V. Chandrasekar (Eds.) (2001), *Polarimetric Doppler Weather Radar*,  
550 636 pp., Cambridge Univ. Press, New York.
- 551 Cadeddu, M. P., J. C. Liljegren, and D. D. Turner (2013), The Atmospheric Ra-  
552 diation Measurement (ARM) program network of microwave radiometers: instru-  
553 mentation, data, and retrievals, *Atmos. Meas. Tech.*, *6*(9), 2359–2372, doi:10.5194/  
554 amt-6-2359-2013.
- 555 Chanthavong, V., J. Holmes, R. Kernen, S. Panov, J. Selzler, T. Stordell, and V. Chan-  
556 drasekar (2010), Operational implementation of the adaptive specific differential phase,  
557 in *Proc. Sixth European Conf. on Radar in Meteorology and Hydrology*, ERAD.

- 558 Cooper, W. A. (1986), *Precipitation Enhancement—A Scientific Challenge*, chap. Ice Ini-  
559 tiation in Natural Clouds, pp. 29–32, American Meteorological Society, Boston, MA,  
560 doi:10.1007/978-1-935704-17-1\_4.
- 561 Cotton, W. R., and R. A. Anthes (1989), *Storm and Cloud Dynamics*, Academic Press.
- 562 Crawford, I., et al. (2012), Ice formation and development in aged, wintertime cumulus  
563 over the UK: observations and modelling, *Atmos. Chem. Phys.*, *12*(11), 4963–4985.
- 564 Crosier, J., et al. (2014), Microphysical properties of cold frontal rainbands, *Q. J. R.*  
565 *Meteorol. Soc.*, *140*(681), 1257–1268.
- 566 Dee, D. P., et al. (2011), The ERA-Interim reanalysis: Configuration and performance of  
567 the data assimilation system, *Q. J. R. Meteorol. Soc.*, *137*(656), 553–597.
- 568 DeMott, P. J., A. J. Prenni, X. Liu, S. M. Kreidenweis, M. D. Petters, C. H. Twohy,  
569 M. Richardson, T. Eidhammer, and D. Rogers (2010), Predicting global atmospheric ice  
570 nuclei distributions and their impacts on climate, *Proceedings of the National Academy*  
571 *of Sciences*, *107*(25), 11,217–11,222.
- 572 Doviak, R., V. Bringi, A. Ryzhkov, A. Zahrai, and D. Zrnic (2000), Considerations for  
573 polarimetric upgrades to operational WSR-88D radars, *J. Atmos. Oceanic Technol.*,  
574 *17*(3), 257–278.
- 575 Giangrande, S. E., T. Toto, A. Bansemer, M. R. Kumjian, S. Mishra, and A. V. Ryzhkov  
576 (2016), Insights into riming and aggregation processes as revealed by aircraft, radar, and  
577 disdrometer observations for a 27 april 2011 widespread precipitation event, *Journal of*  
578 *Geophysical Research: Atmospheres*, *121*(10), 5846–5863, doi:10.1002/2015JD024537,  
579 2015JD024537.

- 580 Grazioli, J., G. Lloyd, L. Panziera, C. R. Hoyle, P. J. Connolly, J. Henneberger, and  
581 A. Berne (2015), Polarimetric radar and in situ observations of riming and snowfall  
582 microphysics during CLACE 2014, *Atmospheric Chemistry and Physics*, *15*(23), 13,787–  
583 13,802, doi:10.5194/acp-15-13787-2015.
- 584 Hallett, J., and S. C. Mossop (1974), Production of secondary ice particles during the  
585 riming process, *Nature*, *249*, 26–28.
- 586 Heymsfield, A. (1972), Ice crystal terminal velocities, *J. Atmos. Sci.*, *29*, 1348–1357.
- 587 Hogan, R. J., P. R. Field, A. J. Illingworth, R. J. Cotton, and T. W. Choullarton  
588 (2002), Properties of embedded convection in warm-frontal mixed-phase cloud from  
589 aircraft and polarimetric radar, *Q. J. R. Meteorol. Soc.*, *128*(580), 451–476, doi:  
590 10.1256/003590002321042054.
- 591 Klein, S. A., Y. Zhang, M. D. Zelinka, R. Pincus, J. Boyle, and P. J. Gleckler (2013),  
592 Are climate model simulations of clouds improving? An evaluation using the ISCCP  
593 simulator, *J. Geophys. Res.*, *118*(3), 1329–1342.
- 594 Kneifel, S., A. von Lerber, J. Tiira, D. Moisseev, P. Kollias, and J. Leinonen  
595 (2015), Observed relations between snowfall microphysics and triple-frequency radar  
596 measurements, *J. Geophys. Res.*, *120*(12), 6034–6055, doi:10.1002/2015JD023156,  
597 2015JD023156.
- 598 Koenig, L. R. (1963), The glaciating behavior of small cumulonimbus clouds, *J. Atmos.*  
599 *Sci.*, *20*(1), 29–47.
- 600 Koenig, L. R. (1965), Drop freezing through drop breakup, *J. Atmos. Sci.*, *22*(4), 448–451.
- 601 Kollias, P., N. Bharadwaj, K. Widener, I. Jo, and K. Johnson (2014a), Scanning ARM  
602 Cloud Radars. Part I: Operational Sampling Strategies, *J. Atmos. Oceanic Technol.*,

- 603 31(3), 569–582, doi:10.1175/JTECH-D-13-00044.1.
- 604 Kollias, P., I. Jo, P. Borque, A. Tatarevic, K. Lamer, N. Bharadwaj, K. Widener,  
605 K. Johnson, and E. E. Clothiaux (2014b), Scanning ARM Cloud Radars. Part II:  
606 Data Quality Control and Processing, *J. Atmos. Oceanic Technol.*, 31(3), 583–598,  
607 doi:10.1175/JTECH-D-13-00045.1.
- 608 Kumjian, M. R., S. Mishra, S. E. Giangrande, T. Toto, A. V. Ryzhkov, and A. Banse-  
609 mer (2016), Polarimetric radar and aircraft observations of saggy bright bands dur-  
610 ing MC3E, *Journal of Geophysical Research: Atmospheres*, 121(7), 3584–3607, doi:  
611 10.1002/2015JD024446, 2015JD024446.
- 612 Kyrouac, J., and D. Holdridge (2014), ARM Surface Meteorological Instrumen-  
613 tation (MET), <http://www.archive.arm.gov/discovery/#v/home/s/>, doi:10.5439/  
614 1025220.
- 615 Lawson, R. P., S. Woods, and H. Morrison (2015), The microphysics of ice and precipita-  
616 tion development in tropical cumulus clouds, *J. Atmos. Sci.*, 72(6), 2429–2445.
- 617 Leinonen, J. (2014), High-level interface to t-matrix scattering calculations: architecture,  
618 capabilities and limitations, *Opt. Express*, 22(2), 1655–1660, doi:10.1364/OE.22.001655.
- 619 Lin, Y.-L., R. D. Farley, and H. D. Orville (1983), Bulk parameterization of the snow field  
620 in a cloud model, *J. Climate Appl. Meteor.*, 22(6), 1065–1092.
- 621 Locatelli, J., and P. Hobbs (1974), Fall speeds and masses of solid precipitation particles,  
622 *J. Geophys. Res.*, 79(15), 2185–2197, doi:10.1029/JC079i015p02185.
- 623 Mclachlan, G., and D. Peel (Eds.) (2000), *Finite Mixture Models*, John Wiley & Sons,  
624 Inc., Hoboken, NJ, doi:10.1002/0471721182.ch1.

- 625 Mishchenko, M. I., and L. D. Travis (1994), T-matrix computations of light scattering  
626 by large spheroidal particles, *Optics Communications*, *109*(1), 16 – 21, doi:10.1016/  
627 0030-4018(94)90731-5.
- 628 Mishchenko, M. I., L. D. Travis, and A. Macke (1996), Scattering of light by polydisperse,  
629 randomly oriented, finite circular cylinders, *Appl. Opt.*, *35*(24), 4927–4940, doi:10.1364/  
630 AO.35.004927.
- 631 Moisseev, D. N., S. Lautaportti, J. Tyynela, and S. Lim (2015), Dual-polarization radar  
632 signatures in snowstorms: Role of snowflake aggregation, *J. Geophys. Res.*, *120*(24),  
633 12,644–12,655, doi:10.1002/2015JD023884, 2015JD023884.
- 634 Morrison, H., J. A. Curry, and V. I. Khvorostyanov (2005), A new double-moment micro-  
635 physics parameterization for application in cloud and climate models. Part I: Descrip-  
636 tion, *J. Atmos. Sci.*, *62*(6), 1665–1677.
- 637 Nelson, J., and C. Knight (1998), Snow crystal habit changes explained by layer nucle-  
638 ation, *J. Atmos. Sci.*, *55*(8), 1452–1465.
- 639 Newman, A., P. Kucera, and L. Bliven (2009), Presenting the snowflake video imager  
640 (SVI), *J. Atmos. Oceanic Technol.*, doi:10.1175/2008JTECHA1148.1.
- 641 Oue, M., M. R. Kumjian, Y. Lu, J. Verlinde, K. Aydin, and E. E. Clothiaux (2015),  
642 Linear depolarization ratios of columnar ice crystals in a deep precipitating system  
643 over the Arctic observed by zenith-pointing Ka-Band Doppler radar, *J. Appl. Meteorol.*  
644 *Climatol.*, *54*(5), 1060–1068.
- 645 Pachauri, R. K., et al. (2014), Climate Change 2014: Synthesis Report. Contribution of  
646 Working Groups I, II and III to the Fifth Assessment Report of the Intergovernmental  
647 Panel on Climate Change. Intergovernmental Panel on Climate Change.

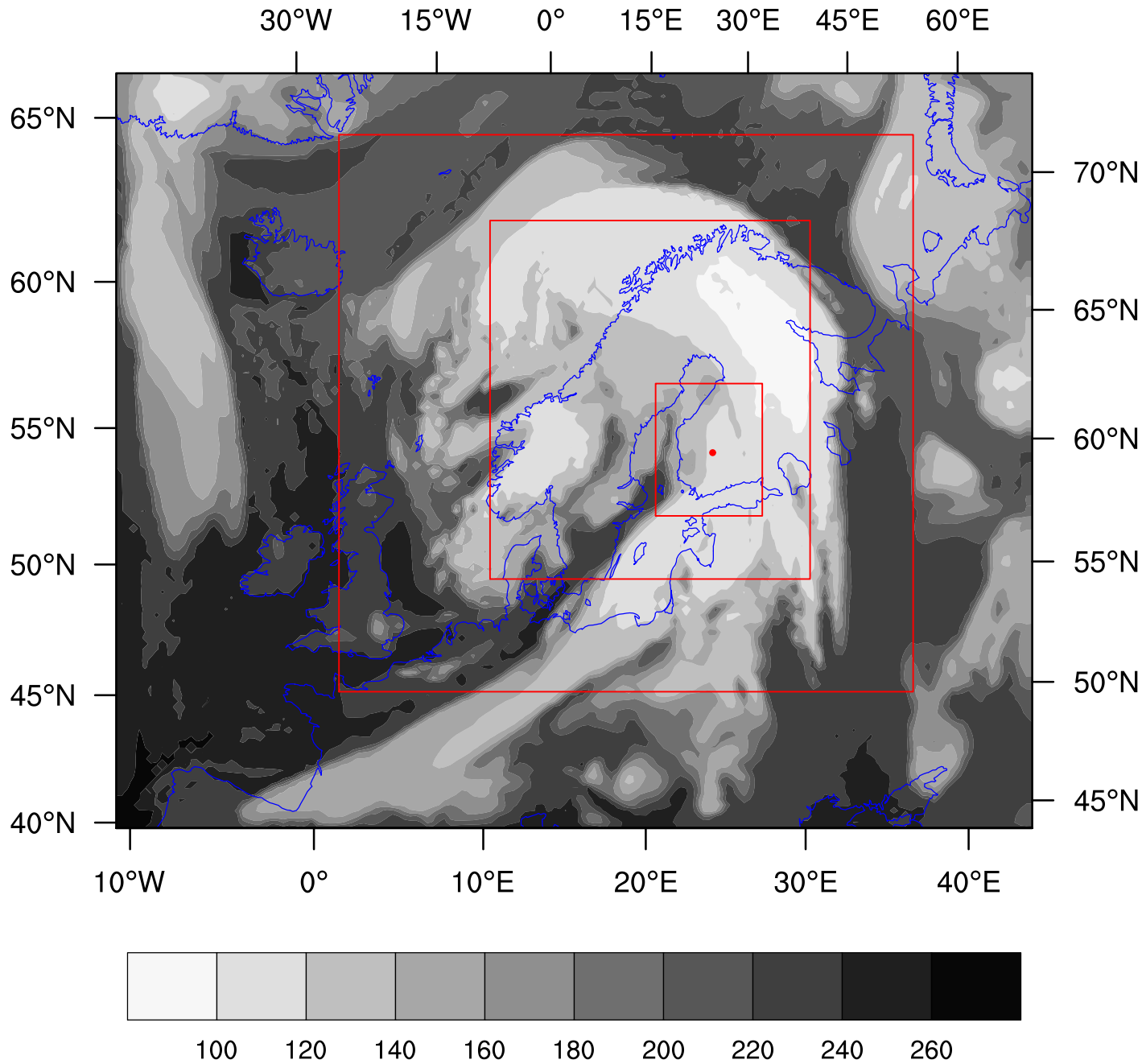
- 648 Petäjä, T., et al. (2016), BAECC a field campaign to elucidate the impact of Biogenic  
649 Aerosols on Clouds and Climate, *Bulletin of the American Meteorological Society*, doi:  
650 10.1175/BAMS-D-14-00199.1.
- 651 Rangno, A. L., and P. V. Hobbs (2001), Ice particles in stratiform clouds in the Arctic and  
652 possible mechanisms for the production of high ice concentrations, *J. Geophys. Res.*,  
653 *106*, 15.
- 654 Rangno, A. L., and P. V. Hobbs (2005), Microstructures and precipitation development  
655 in cumulus and small cumulonimbus clouds over the warm pool of the tropical Pacific  
656 Ocean, *Q. J. R. Meteorol. Soc.*, *131*(606), 639–673.
- 657 Rasmussen, R., et al. (2012), How well are we measuring snow: The NOAA/FAA/NCAR  
658 winter precipitation test bed, *Bull. Amer. Meteor. Soc.*, *93*, 811829.
- 659 Rutledge, S. A., and P. V. Hobbs (1984), The mesoscale and microscale structure and or-  
660 ganization of clouds and precipitation in midlatitude cyclones. XII: A diagnostic mod-  
661 eling study of precipitation development in narrow cold-frontal rainbands, *J. Atmos.*  
662 *Sci.*, *41*(20), 2949–2972.
- 663 Saltikoff, E., A. Huuskonen, H. Hohti, J. Koistinen, and H. Järvinen (2010), Quality  
664 assurance in the FMI doppler weather radar network, *Boreal Environ. Res.*, *15*(6),  
665 579–594.
- 666 Sihvola, A. (1999), *Electromagnetic mixing formulas and applications*, London : Institu-  
667 tion of Electrical Engineers.
- 668 Skamarock, W. C., J. B. Klemp, J. Dudhia, D. O. Gill, D. M. Barker, X.-Y. Huang,  
669 W. Wang, and J. G. Powers (2008), A description of the Advanced Research WRF  
670 Version 3, *Tech. Rep. NCAR/TN-475+STR*, NCAR.



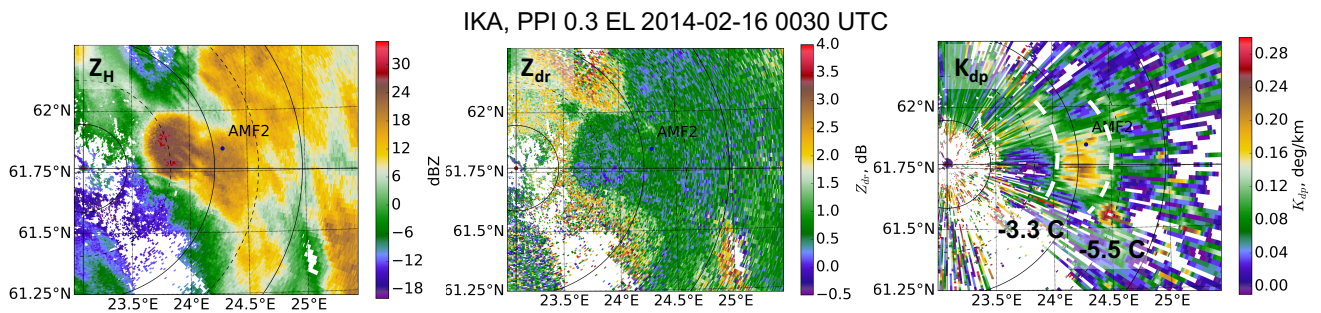
- 671 Tiira, J., D. N. Moisseev, A. von Lerber, D. Ori, A. Tokay, L. F. Bliven, and W. Petersen  
672 (2016), Ensemble mean density and its connection to other microphysical properties  
673 of falling snow as observed in southern finland, *Atmospheric Measurement Techniques*  
674 *Discussions*, 2016, 1–29, doi:10.5194/amt-2016-192.
- 675 Vardiman, L. (1978), The generation of secondary ice particles in clouds by crystal-crystal  
676 collision, *J. Atmos. Sci.*, 35(11), 2168–2180.
- 677 Wang, Y., and V. Chandrasekar (2009), Algorithm for estimation of the specific differential  
678 phase, *J. Atmos. Oceanic Technol.*, 26(12), 2565–2578, doi:http://dx.doi.org/10.1175/  
679 2009JTECHA1358.1.
- 680 Webb, M. J., F. H. Lambert, and J. M. Gregory (2013), Origins of differences in climate  
681 sensitivity, forcing and feedback in climate models, *Climate dynamics*, 40(3-4), 677–707.
- 682 Wielaard, D. J., M. I. Mishchenko, A. Macke, and B. E. Carlson (1997), Improved t-matrix  
683 computations for large, nonabsorbing and weakly absorbing nonspherical particles and  
684 comparison with geometrical-optics approximation, *Appl. Opt.*, 36(18), 4305–4313, doi:  
685 10.1364/AO.36.004305.
- 686 Wood, N. B., T. S. L’Ecuyer, F. L. Bliven, and G. L. Stephens (2013), Characteri-  
687 zation of video disdrometer uncertainties and impacts on estimates of snowfall rate  
688 and radar reflectivity, *Atmospheric Measurement Techniques*, 6(12), 3635–3648, doi:  
689 10.5194/amt-6-3635-2013.
- 690 Yano, J.-I., and V. T. J. Phillips (2011), Ice-ice collisions: An ice multiplication process  
691 in atmospheric clouds, *J. Atmos. Sci.*, 68(2), 322–333.

**Table 1.** Summary of experiments conducted with WRF. In HM10, the production rate of ice particles due to the H-M processes is multiplied by a factor of 10.

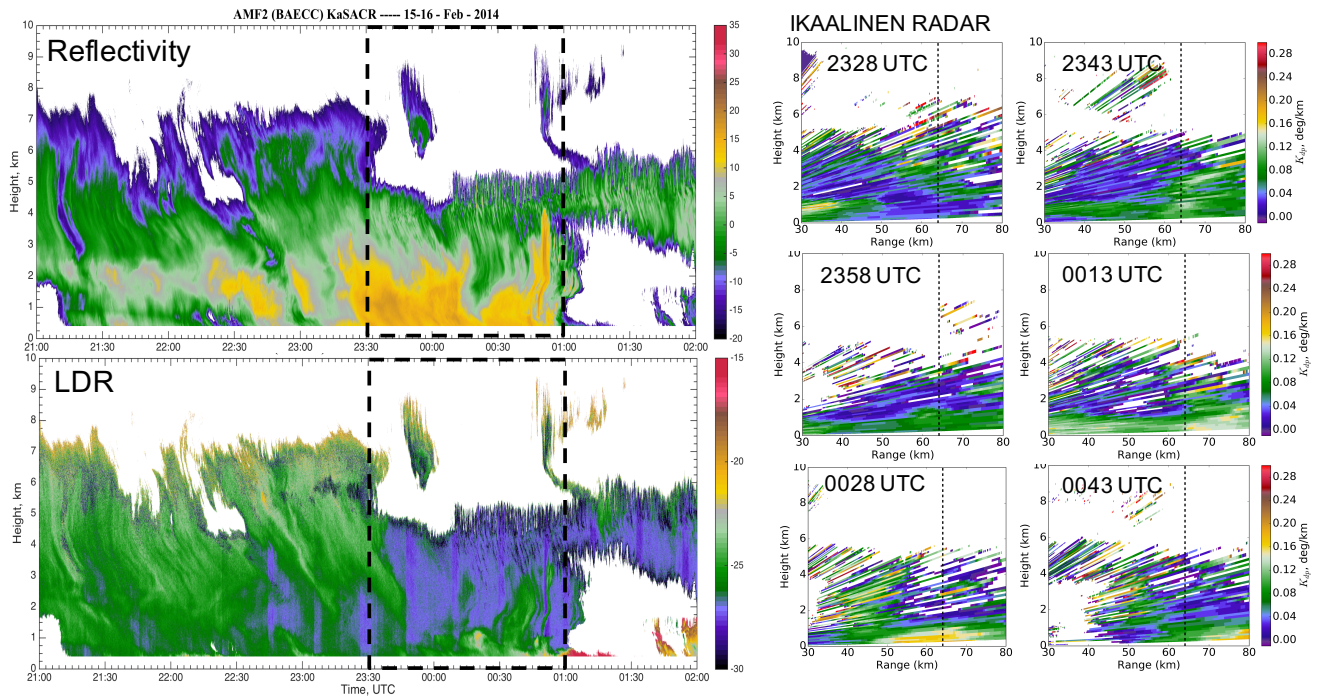
Exp. Name	Microphysics scheme	Primary Ice parameterization	$Q_{rain} / Q_{cloud}$ thresholds
Control	Morrison	Cooper curve	on
DeMott	Morrison	DeMott curve	on
No Thres	Morrison	Cooper curve	off
DeMott + No Thres	Morrison	DeMott curve	off
HM10	Morrison	Cooper curve	off



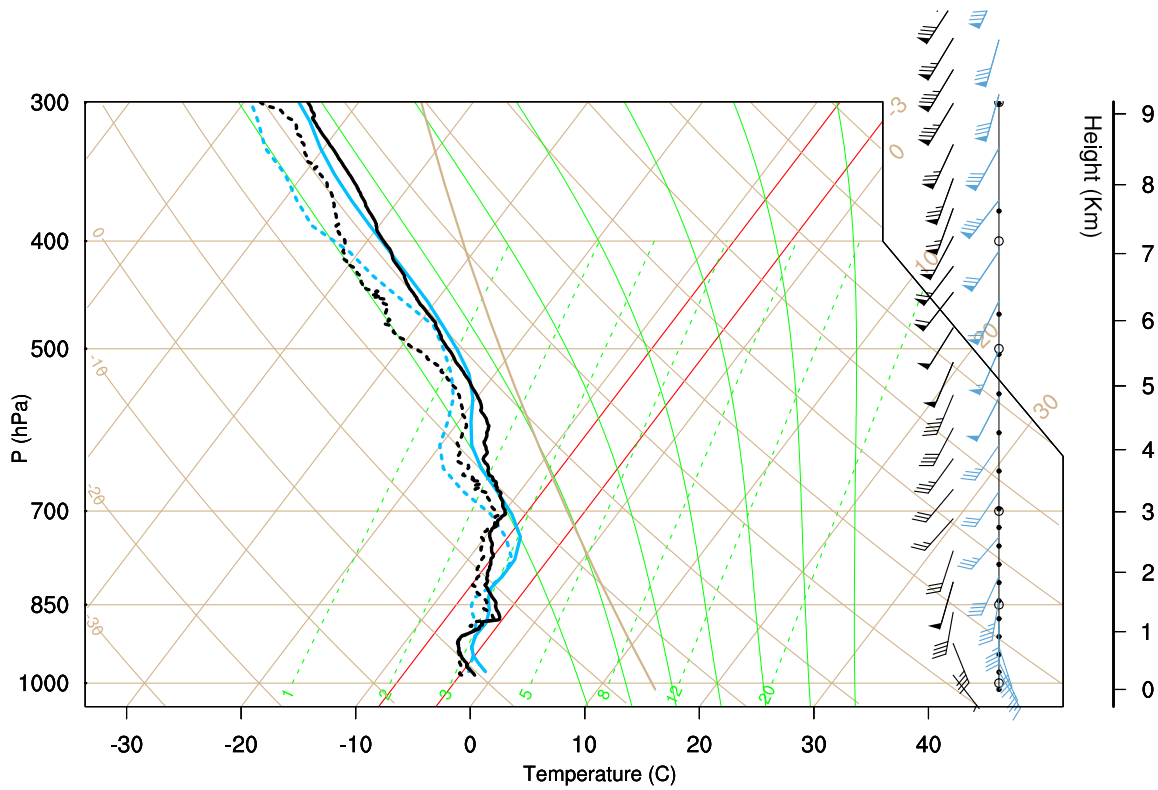
**Figure 1.** Map showing the outer model domain (whole map) and the three nested domains (red boxes), the location of Hyytiälä field station (red dot) and the model simulated outgoing long wave radiation (shading,  $\text{W m}^{-2}$ ) from the outermost domain (d01) at 00 UTC 16 February 2014.



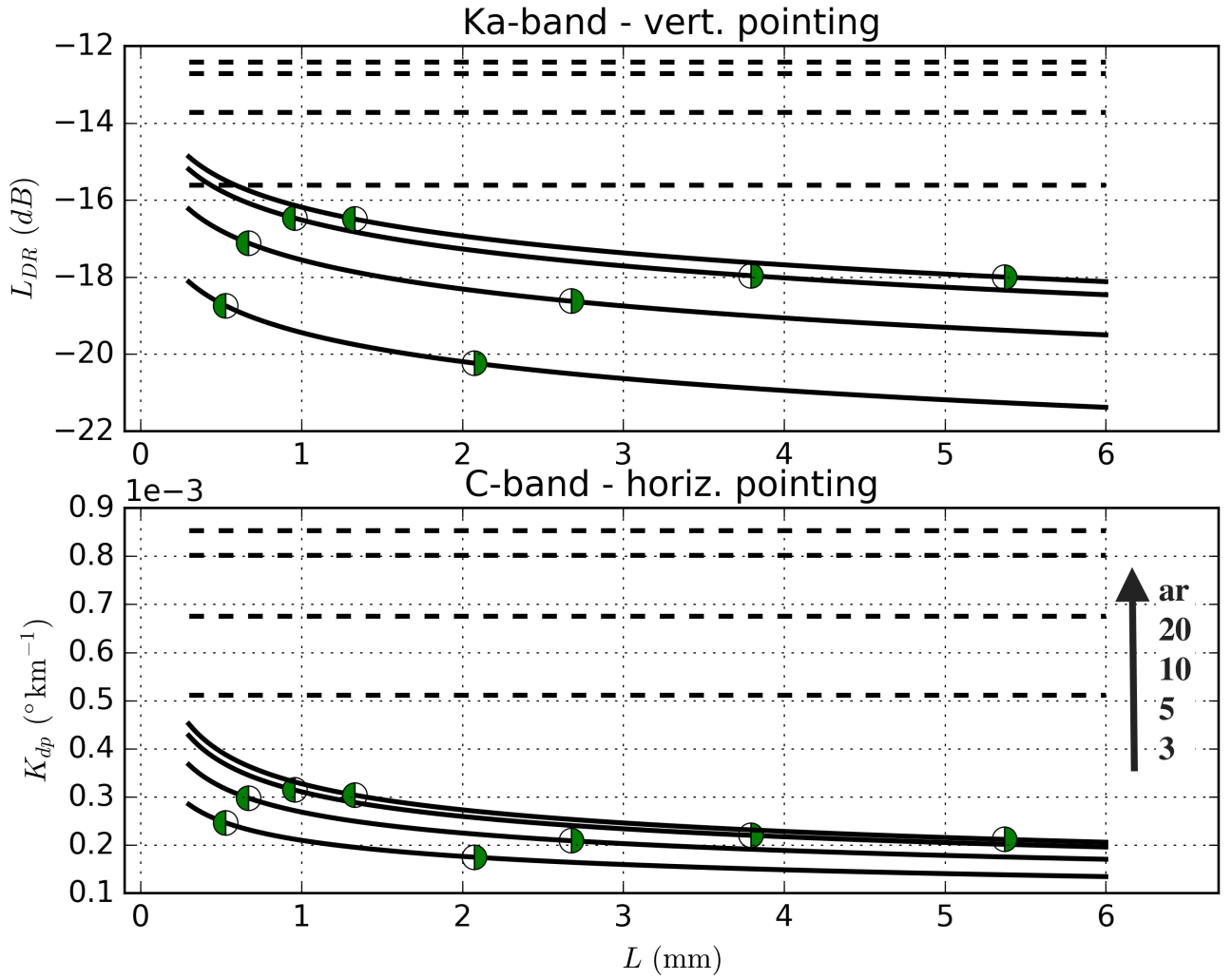
**Figure 2.** Ikaalinen radar plan position indicator (PPI) observations of equivalent reflectivity factor, differential reflectivity and specific differential phase recorded on Feb. 16, 2014 at 0030 UTC. The radar elevation angle is  $0.3^\circ$ . The 20 km range rings are shown in the figure. The temperature labels correspond to range arcs (white dashed curves), depicting boundaries of the  $K_{dp}$  band.



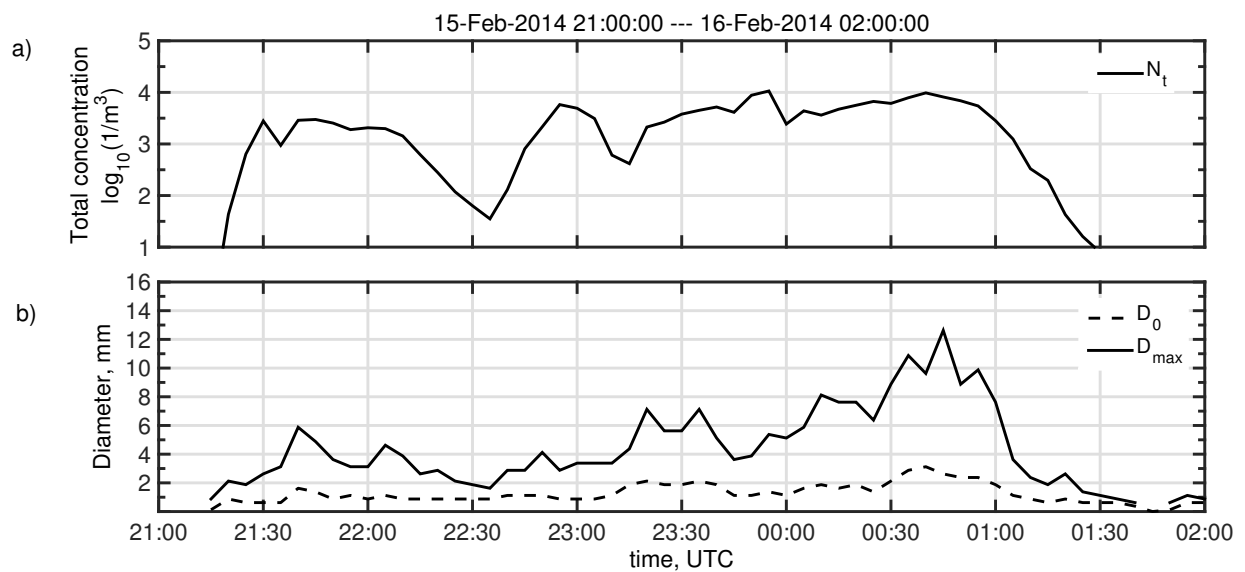
**Figure 3.** Ikaalinen radar RHI observations of specific differential phase and Ka-SACR vertical pointing observations of equivalent reflectivity factor and linear depolarization ratio. The  $K_{dp}$  band was observed between 2330 UTC and 0100 UTC, highlighted by a dashed black line box in the time-height figures of  $K_{dp}$  and  $LDR$ . The RHI observations are carried out over the Hyytiälä field station, azimuth  $81.9^\circ$ . The dashed line in the RHI images indicate profiles above the measurement station.



**Figure 4.** Skew-T diagram showing observations (black) and model output (blue) at 00 UTC 16 February 2014 from the control simulation. Solid lines show temperature profiles and dashed lines dewpoint temperatures. Wind barbs are plotted every at 2nd model level and every 50th observation.

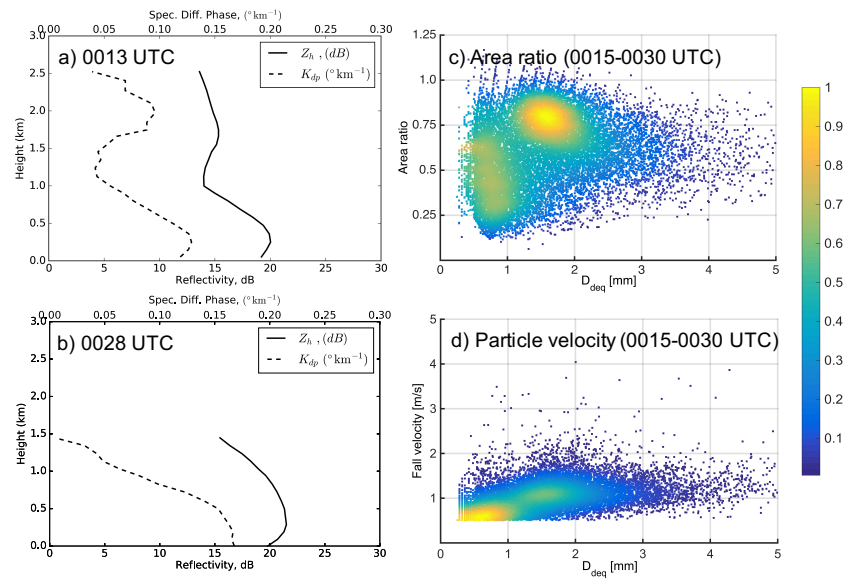


**Figure 5.**  $K_{dp}$  and  $LDR$  calculations for needles as a function of length ( $L$ ) and axis ratio ( $ar$ ).  $K_{dp}$  calculations are done for C-band assuming that crystal concentration is  $1 \text{ m}^{-3}$ . The  $LDR$  computations are for vertically pointing Ka-band radar. Standard deviation of  $10^{\circ}$  is assumed for particle canting angles and uniform distribution for the azimuth angles. Solid lines represent calculations using the *Heymsfield* [1972] density relation for 4 different axis ratios (3, 5, 10 and 20) as indicated by the solid black arrow. Dashed lines depict calculations using constant density of  $0.9 \text{ g cm}^{-3}$  for these 4 axis ratios. The circles show minimum and maximum lengths of needles as calculated from PIP observations.

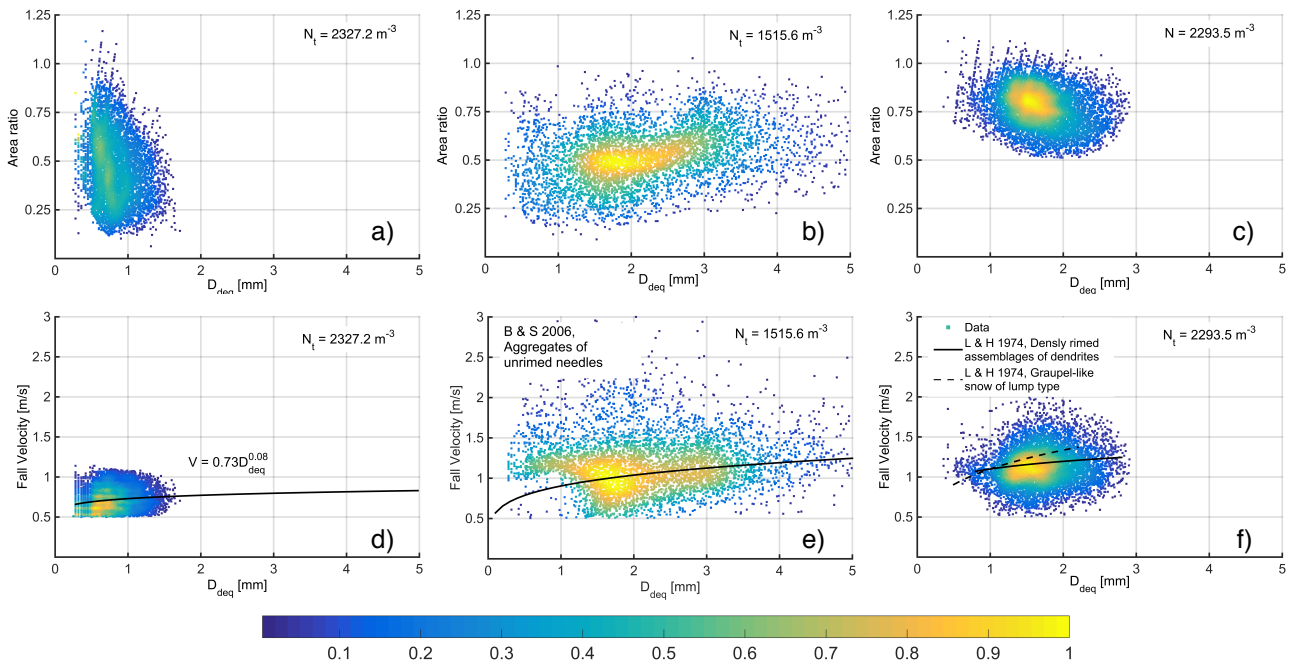


**Figure 6.** Time series of (a) the total number concentration  $N_t$ , (b) the median volume diameter  $D_0$  and the maximum particle diameter  $D_{max}$  observed by PIP between 2100 UTC on February 15 and 0200 UTC on February 16.

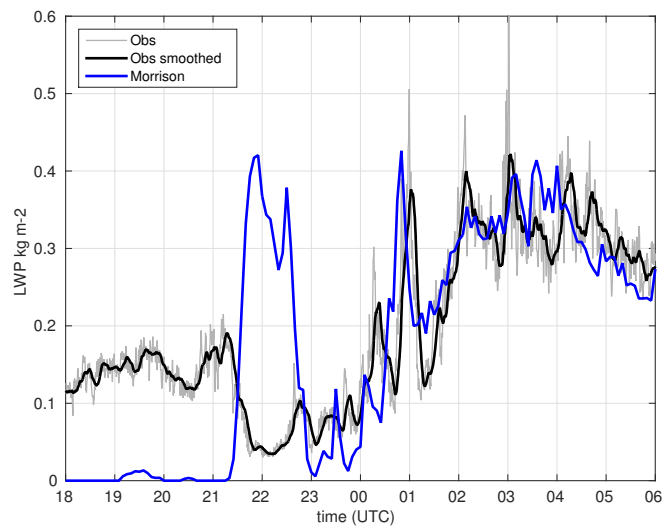




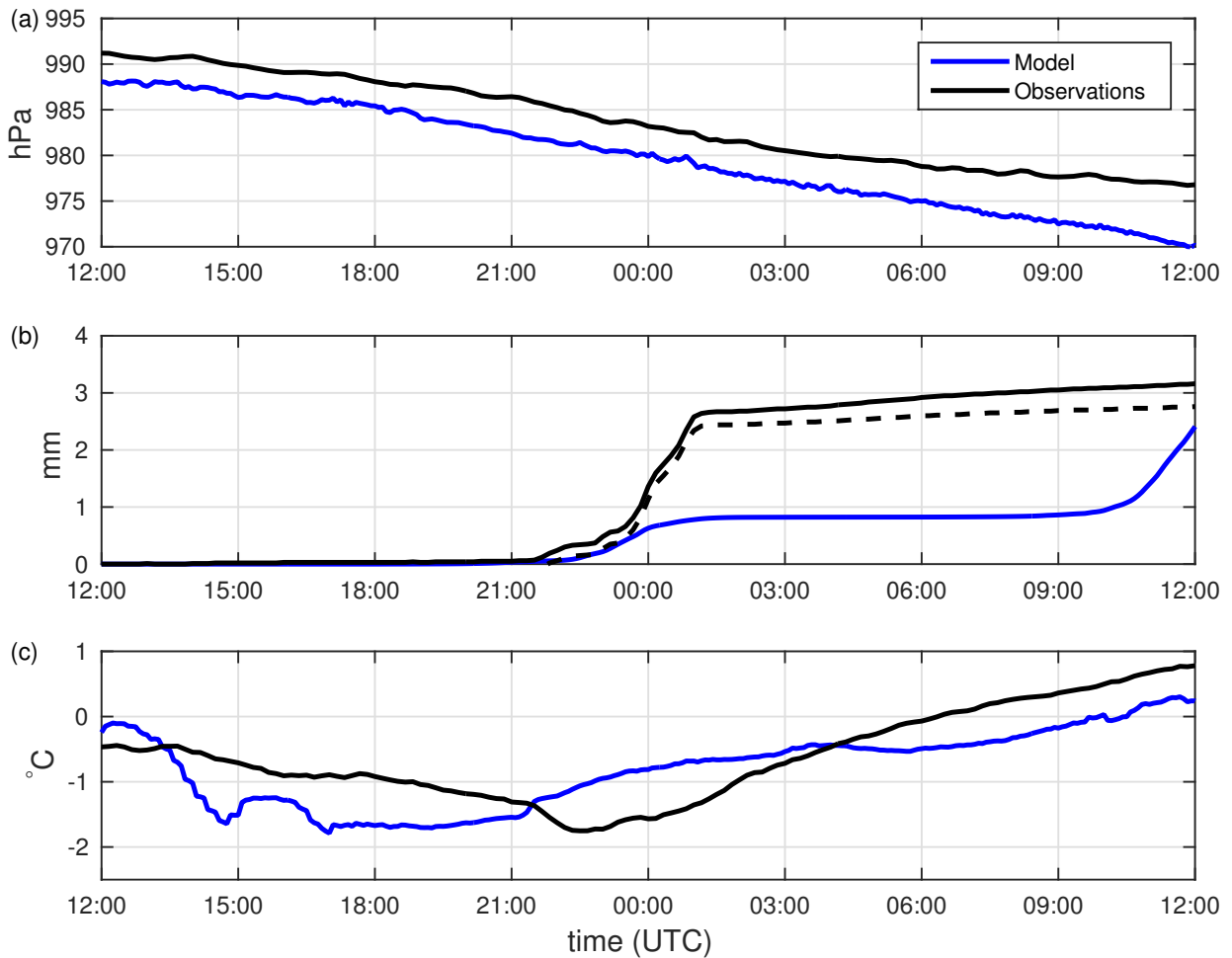
**Figure 7.** Ikaalinen radar recorded profiles of  $Z_e$  and  $K_{dp}$  above the measurement site a)- b) and corresponding observations shown as density plots of c) ice particle area ratios and d) fall velocities as a function of diameter. The color of the density plot represent the normalized density, which is ranging from 0 to 1 as shown in the colorbar.



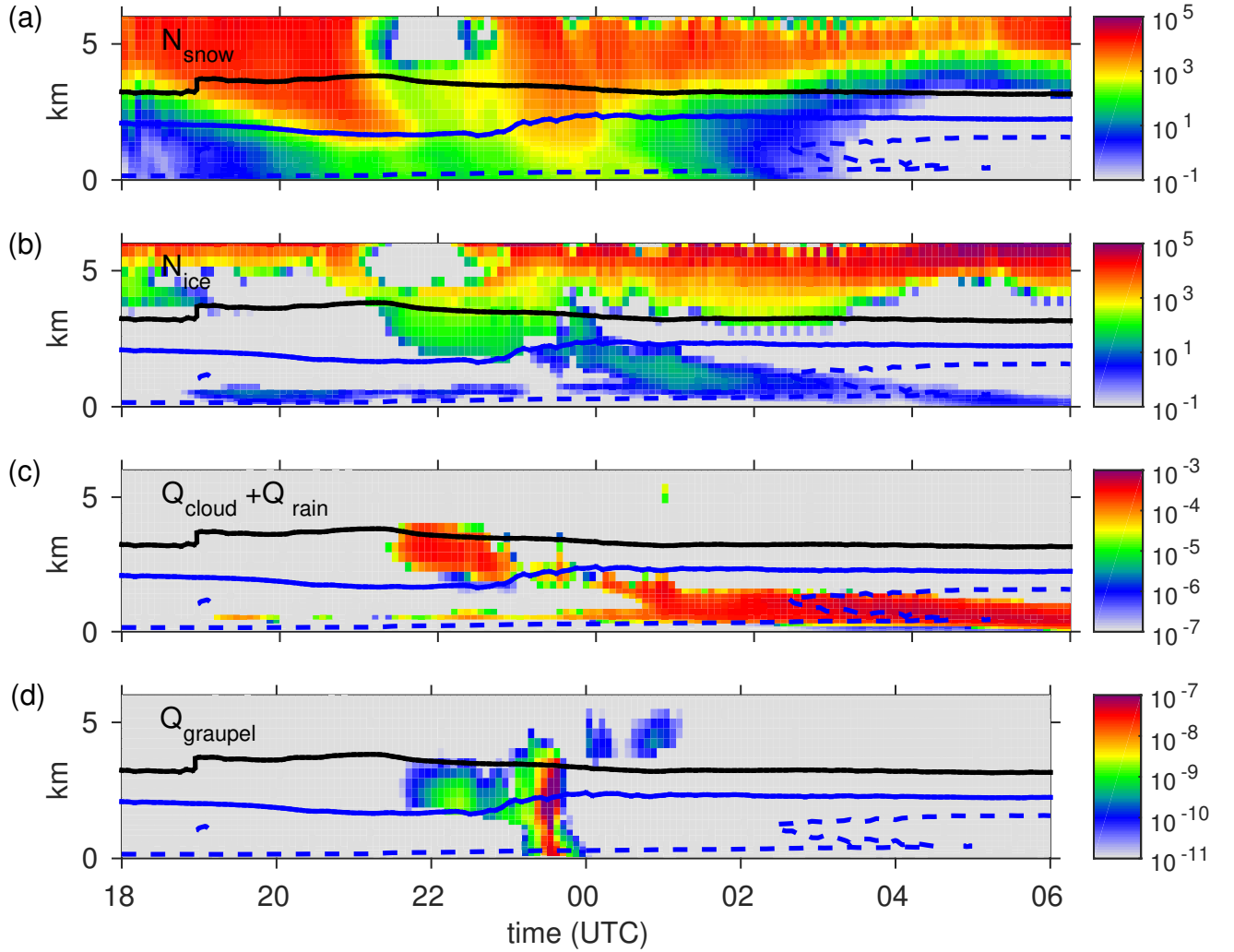
**Figure 8.** Density plots of retrieved area ratios and observed fall velocities of the three particle types as functions of diameter with the estimated number concentrations separated by a clustering algorithm valid at the same time as Fig 7c, d. Small needle-like particles are shown in a) and d) with V-D relation defined with nonlinear regression. Aggregates are depicted in b) and e), and the V-D relation is taken from *Barthazy and Schefold* [2006] with a pressure correction based on the measurement heights with respect to mean sea level. c) and f) are the area ratios and fall velocities, respectively, as function of diameter for rimed particles and the V-D relations for densely rimed assemblages of dendrites and graupel-like snow of lump type are taken from *Locatelli and Hobbs* [1974].



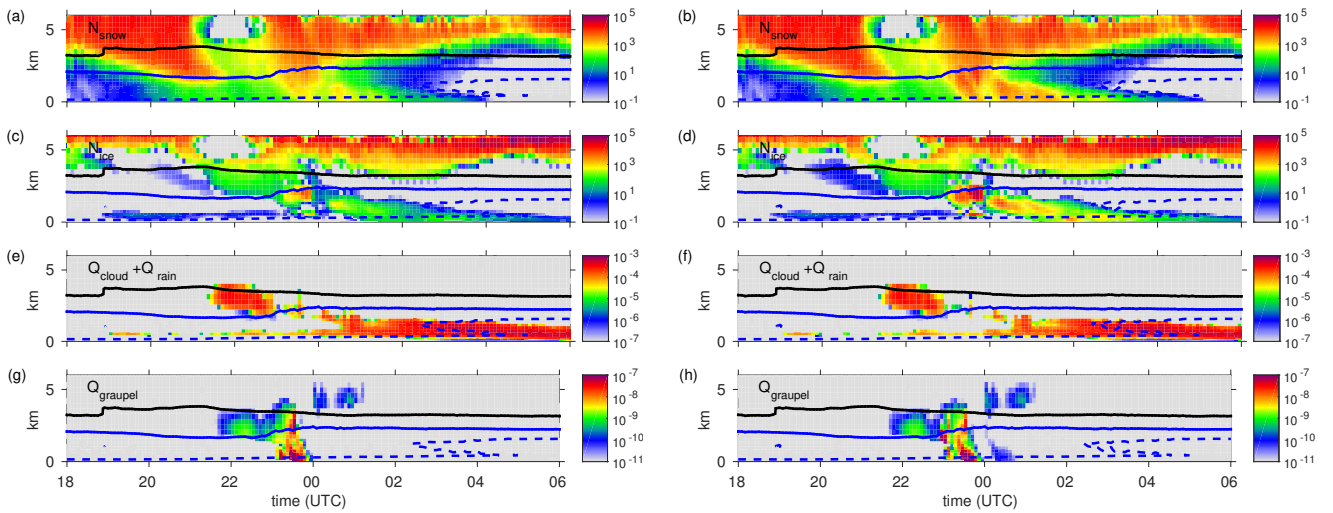
**Figure 9.** Observed liquid water path (gray), observed liquid water path smoothed using a 10-minute running mean (black) and the model simulated liquid water path (blue) from the control simulation.



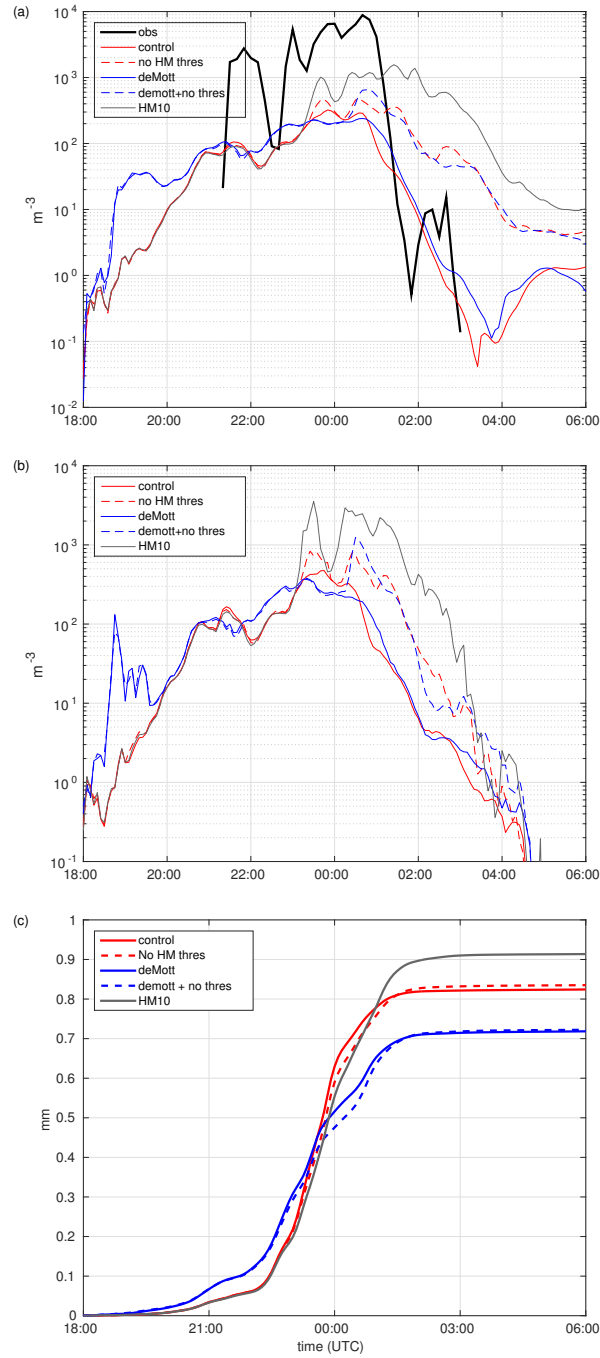
**Figure 10.** Time series of (a) surface pressure, (b) accumulated precipitation and (c) 2-m temperature. Black lines show observations, blue lines the output from the control WRF simulation. All model variables are from the grid box closest to Hyytiälä. In (b) the solid black line is for measurements inside of the snow fence and the dashed line for measurements outside of the snow fence.



**Figure 11.** Model simulated hydrometeors (shading) and temperature (contours) from the control simulation at the grid point closest to Hyytiälä between 18 UTC 15 February 2014 and 06 UTC 16 February 2014. (a) number concentration of snow particles ( $N_{snow}$ ), (b) number concentration of cloud ice particles ( $N_{ice}$ ), (c) sum of the cloud liquid and rain mixing ratio ( $Q_{cloud} + Q_{rain}$ ) and (d) graupel mixing ratio ( $Q_{graupel}$ ). Units in panels a–b are  $\text{m}^{-3}$  and  $\text{kg m}^{-3}$  in panel c–d. The black solid line show  $-15^\circ\text{C}$ , the blue solid line  $-8^\circ\text{C}$ , and the blue dashed line  $-3^\circ\text{C}$ . Note that color bars differ between panels.



**Figure 12.** Model simulated hydrometeors (shading) and temperature (contours) in experiment No Thres (left) and HM10 (right). (a,b) number concentration of snow particles ( $N_{snow}$ ), (c,d) number concentration of ice particles ( $N_{ice}$ ), (e,f) sum of the cloud liquid and rain mixing ratio ( $Q_{cloud}+Q_{rain}$ ) and (g,h) graupel mixing ratio ( $Q_{graupel}$ ). Units in panels a–d are  $\text{m}^{-3}$  and  $\text{kg m}^{-3}$  in panel e–h. The black solid line show  $-15^{\circ}\text{C}$ , the blue solid line  $-8^{\circ}\text{C}$ , and the blue dashed line  $-3^{\circ}\text{C}$ . Note that color bars differ between panels.



**Figure 13.** (a,b) Number concentration of the sum of all frozen particles ( $N_{ice}$ ,  $N_{snow}$  and  $N_{graupel}$ ) at (a) the lowest model level (approximately 40 m) and (b) at model level 6 (approximately 0.63 km). (c) model simulated accumulated precipitation. Red: control simulation, Red dashed: No Thres, Blue: DeMott, Blue dashed: DeMott + No Thres, Grey: HM10. Solid black line in (a) shows total number concentration observed by PIP.