# FISSION RATES IN NISUS - A FAST REACTOR <br> NEUTRON SPECTRUM GENERATOR 

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"If you split a particle, You'll see a sun inside" Hatef-Esfahani, 1700 A.D.

ABSTRACT

Fission rates have been experimentally determined in the standard fast assembly NISUS, installed on the University of London Reactor CONSORT, with double fission chambers and solid-state track recorders. The results are compared with one-dimensional discrete ordinates ANISN calculations using a 37 group UKNDL nuclear data file processed by the GALAXY code. Calculations have also been made to investigate sensitivities of the central NISUS spectrum and reaction rate ratios to uncertainties in the macroscopic configuration and nuclear data file used. The effects of these uncertainties were studied and a comparison between NISUS and MOL- $\Sigma \Sigma$ standard neutron fields has been made.

An accurate and reproducible fission track counting method using the Quantimet 720 was established. The results show that either method of track counting by eye or by Quantimet, is capable of precision of $\pm 2 \%$ or better in fission rate ratios. A systematic error of $\pm 2 \%$ in absolute track densities is attributable to the calibration of the fields of view in both methods.

The results of ${ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U},{ }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U}$ and ${ }^{237} \mathrm{~Np} /{ }^{235} \mathrm{U}$ fission ratios in the centre of NISUS show an agreement better than $\pm 0.6 \%$ compared with those of $\Sigma \Sigma$. The ${ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}$ fission ratio in NISUS was found to be $1.7 \%$ higher than that in $\Sigma \Sigma$, as: was predicted by the ANISN transport code.
The optical efficiency of Makrofol SSTR was found to be $(94.3 \pm .64) \%$ for thin deposits. The measurements of ${ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}$ fission ratio with SSTR showed a discrepancy of about $\pm 3 \%$ compared with those of the fission chamber. The fission rate distribution on the outer and inner surfaces of the NISUS uranium shell was measured in three orthogonal planes using Makrofol SSTR.

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## 1. INTRODUCTION

The discovery of nuclear fission altered the prospects of mankind. Nuclear energy can prolong our power-based civilization or it can end it abruptly. The attendant radioactivity can cause disease or it can cure disease. Intelligent social choices must be based on technical as well as political understanding. For his survival man's intelligence is challenged as never before.

Power demands and power needs for modern civilization have vigorously pushed all kinds of effort for energy productiontogo into nuclear energy. The use of the old-fashioned fossil fuels is still one of the important sources for ${ }^{*} \times$ today'sworld" energy requirements. Exhaustion of these deposits cannot last for many decades at the present rapidly increasing rate of consumption. Whether these estimates prove to be pessimistic, as some previous estimates have been, remains to be seen. The other sources of power, geothermal, tidal, hydro and in practice probably also wind, are not plentiful enough to supply large parts of the future demand. The present idea to use solar energy as a commercial source of power may be far from realisation. It appears that in the long term, on into the centuries, the continuation of industrial civilization will require either fusion power or solar power. Meanwhile, at the threshold of the world energy crisis, the fast breeder reactor is an alternative solution having several contributions to make to the nuclear program. In such a reactor the conversion ratio is in excess of unity, in order


#### Abstract

to make significant use of the breeder reaction. The lowest conversion ratio amongst existing power reactor types is 0.5 , that is for each two nuclei of $\underset{92}{235} \mathrm{U}$ undergoing fission just one ${ }_{94}^{239} \mathrm{Pu}$ nucleus is produced. If the plutonium is extracted from the used fuel elements, as it can be by chemical methods, and used to fuel a reactor of similar type, neglecting any plutonium losses in the process, and making the optimistic assumption that all the original fissile material undergoes fission before removal of the fuel element from the reactor, the amount of uranium effectively used in two cycles is (1) | $0.5 \times 0.7 \%$ |
| :---: |$\quad=1.05 \%$


If now the plutonium bred in the second cycle is extracted and recycled, the utilisation becomes

$$
0.7 \%+(0.5 \times 0.7 \%)+(0.5 \times 0.5 \times 0.7 \%)=1.22 \%
$$

The third cycle increases this to $1.31 \%$, a fourth cycle to $1.36 \%$, a fifth to $1.38 \%$, and so on. If it is assumed that the process is repeated an infinite number of times, the total percentage of initial uranium eventually undergoing fission is somewhat less than $1.5 \%$. With the better breeding ratio of 0.8 and the same assumption of zero loss of plutonium and infinite recycling, the percentage of uranium eventually undergoes fission is increased to about $3.6 \%$, but when the breeder ratio reaches unity, each nucleus of initial fissile material


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consumed converts one nucleus of $\quad \begin{gathered}238 \\ 92 \\ U\end{gathered}$ to fissile $\quad{ }_{94}^{239} \mathrm{Pu}$ so that eventually all the initial charge of uranium undergoes fission. On this idealised picture the so-called uranium utilisation, or percentage of all the uranium present ultimately undergoing fission, increases dramatically from a few per cent to $100 \%$ as the breeder ratio is increased from just below to slightly above unity. In the actual case, considering the percentage of plutonium loss in extraction and the economic limit to the recycling process, the uranium utilisation remains near $1 \%$ for low conversion ratio reactors and reaches about $70 \%$ when the conversion ratio exceeds unity. One would consequently expect an increase in the usable fissile fuel reserves by a factor of about 70 if high conversion ratio rather than low conversion ratio reactors are used.


From the economic point of view, for a given rate of import of uranium fuel, the breeder will enable a larger generating capacity to be installed than would be possible with thermal reactors alone. Then, when low grade ores have to be used towards the end of the century the breeder will give more useful output and will not experience a large increase in fuel cycle cost. Finally, in the long term, breeders will be able to operate for centuries, if required, using ${ }^{238} U$ from stockpile or from ores which were uneconomic for thermal reactors (2).

### 1.1 Requirement for integral measurements

Nuclear data used in reactor technology and other applications derive from the sources: theoretical calculations, differential measurements and integral experiments. Theoretical calculations, based on nuclear models, are widely used in evaluations, in interpolation and extrapolation of differential data and have a major role in providing quantitative estimates where no reliable experimental information is available.

The major source of uncertainties in most fast reactor calculations is considered to be nuclear data rather than calculational methods, and also from the relative standardization of calculational methods, therefore, of the form of nuclear data, in this area (3) The sensitivity of fast reactor performance to nuclear data uncertainties has been studies and led to the conclusion that the differential nuclear data requires very considerable improvements. The achievement of the target accuracy in nuclear data is based on the use of both evaluated differential data and integral information. The integral data uses results from clean-geometry fast lattices to minimise calculational errors, and covers neutron spectrum as well as all the important reaction rates measurable by integral techniques. By using a least-squares fitting process the cross sections are adjusted to give the best fit to both the integral and evaluated differential measurements ${ }^{(4)}$. The alternative is the development of improved techniques and equipment for nuclear data measurements to meet increasing accuracy requirements ${ }^{(5)}$.

The adjustment procedure was used for thermal reactors from the earliest times and began to be applied to the data for fast reactors in the nineteen sixties, when several new methods for cross section adjustment were developed. Use of integral experiments as benchmarks to provide feedback to the evaluators of cross sections was widely employed in the same period in setting up the different nuclear data files. Both differential and integral information is everywhere recognized to be necessary for the timely development of fast breeder reactors, although the way in which to take them into account varies widely from one place to another. In most cases, however, integral experiments both of benchmark and mock-up are carried out in support of specific fast reactor programs. (3)

### 1.2 Standardization of techniques

The prospects of fast breeder reactors are such that many countries have large research programs for the design and construction of this reactor. Several research groups throughout the world are investigating the improvement of nuclear data and methods for reactor design. It is clearly desirable to compare the results of the investigations with each other. Although intercomparison work may be achieved by building identical special fast reactor cores in different laboratories, it is an enormously expensive method and, in fact, is limited to very few ... research centres.

In order to standardize the measuring techniques between different laboratories, a fast neutron standard has been developed which would be inexpensive and so could be adopted by a large number of laboratories and universities as an international standard. The concept of the intermediate energy standard neutron field has been promoted by CEN/SCK, Mol, Belgium, since 1967 within the framework of the tripartite German-Dutch-Belgian fast breeder program. In 1969, the MOL- $\Sigma \sum^{(6)}$ facility was proposed as an international intermediate energy secondary standard neutron field and was put into operation in early Spring 1970. In the same year as a result of collaboration between CEN/SCK, Belgium, UKAEA and Imperial College such a facility was designed and built to fulfil the requirements of a standard neutron source. Similar efforts were undertaken and are being pursued at the Institute for Nuclear Technology (ITN), Bucharest, and at the National Bureau of Standards as the Intermediate Energy Standard Neutron Field (ISNF), in co-operation with MOL.

The NISUS (Neutron Intermediate Standard Uranium Source) assembly ${ }^{(7)}$ was installed at the thermal column on the University of London Research Reactor, CONSORT ${ }^{(8)}$ in December 1971. The basic idea of this design was to build an assembly for generating a neutron spectrum which would simulate the neutron spectrum of the core and breeder of a fast reactor. The neutron energy range which is important in the study of fast breeder reactors is about 50 eV to 5 MeV .

The NISUS facility consists of two concentric spherical shells, outer driver shell of natural uranium and an inner shell of boron carbide. The shells are supported in the centre of the air filled spherical cavity hollowed out of a 60 cm . cube of graphite. The graphite cube is mounted in a thermal column on a research reactor. The mechanism of spectrum generation in NISUS is that neutrons, originating from the reactor core, are slowed down in the thermal column and provide a well-thermalized source which impinges on the natural uranium shell. This gives rise to a fission distribution which is a maximum at the outer shell edge owing to the attenuation of the thermal flux through the driver shell. Inelastic scattering in the inner region of the shell degrades the spectrum to a characteristic fast reactor shape above 10 keV . The inner boron carbide absorbing shell is used to suppress any unwanted thermal neutron response in the detectors which are located inside an inner air filled cavity at the centre of the shells.

A series of experiments have been carried out in this facility since the installation using threshold detectors, protonrecoil proportional counter, ${ }^{6}$ Li sandwich detector, and solid-state track recorders, and some more investigations are still in progress. Some measurements were made in collaboration with Mol, Belgium, to prove this assembly as an intermediate-energy standard neutron field to make it suitable for high-accuracy interlaboratory comparisons and standardizations.

The design, basic requirements and description of NISUS were described by others $(9,10)$, and, therefore, only the details entirely associated with the present measurements will be discussed in this thesis.

### 1.3 Objectives of this work

The general aim of this work is to measure absolute fission rates with solid-state track recorders and gas-filled fission chambers in a fast reactor neutron spectrum generator. The central neutron spectrum and reaction rate ratios are the major concern of the Neutron Intermediate Standard Uranium Source (NISUS). Since the NISUS assembly has come into operation, different spectrometry techniques have been used, and some are under investigation, for measurement of the central spectrum including: threshold detectors, proton-recoil proportional counters, and lithium-6 sandwich spectrometers. The central NISUS spectrum has also been calculated by one-dimensional transport code, and comparison made between theoretical prediction and measurements. This comparison revealed a discrepancy of 16-20\% (dependins on the normalising procedure) above 800 keV , between measured and calculated spectra and it was thought to be due to ill-defined nuclear data of uranium of the particular data set used ${ }^{(11)}$.

Some uncertainties which have not been taken into account are those for the NISUS constituents as well as cross sections. These uncertainties which could have an effect on the shape of the spectrum and the reaction rate ratios may be considered in five main categories:
density, impurity, abundance, tolerance and cross section. In this work these uncertainties are studied in detail and a comparison is made between NISUS and MOL- $\Sigma \Sigma$ facility both for the central spectra and reaction rate ratios.

On the experimental side use has been made of SSTR as fission track recorders. The investigations have been confined to use of Mica (Polaron, England) and a polycarbonate resin known as Makrofol (Bayer, Germany). Makrofol has been found to have ${ }^{\text {(12) }}$ one of the highest efficiencies among the fission track recorders. Two types of Makrofol were available: Makrofol E and Makrofol KG with the thicknesses of 0.40 mm and 0.025 mm , respectively. Because of the flexibility and nominal thickness which are very important factors in angular measurements, Makrofol $K G$ was chosen in the routine experiments. An automatic image analyzer was used for fission track counting and, therefore, the first part of this work is devoted to study some of the problems and limitations associated with this technique. A comparison is made between the track counting by eye and automatically and the accuracy and reproducibility of each is discussed.

The tasks of this work to be solved may be summarized as follows:
(1) To obtain track recorders to meet all requirements of track counting, either by eye or automatically, i.e. satisfactory track density, low background, high contrast, and uniformity of the features.
(2) To establish an accurate and reproducible fission track counting technique using an automatic image analyzer, the Quantimet 720.
(3) To find the 'optical efficiency' of the SSTR by calibrating the solid-state track recorders against fission chamber.
(4) To measure the absolute fission rates at several positions in the NISUS natural uranium shell.
(5) To calculate fast neutron spectra and reaction rates using available nuclear data set libraries by means of the one-dimensional transport code.
(6) To compare calculated and experimental results with the aim to investigate NISUS as a standard fast neutron field.

### 1.4 Fission rate measurement techniques <br> The fission reaction, so basic in many aspects of nuclear

 science and engineering, is important in nuclear radiation detection. In these applications use is made either of the kinetic energy of the fission products or of their resulting radioactivity, and or the ability to produce tracks in nuclear emulsions and solid-state track recorders.
### 1.4.1 Fission chambers

The ionization produced as the fission products are brought to rest is utilized extensively in ionization and proportional chambers, known as fission chambers. A number of factors contribute to the utility of fission chambers. The wide choice of fissionable materials allows the selection of the energy dependence and of the efficiency. The large energy released per reaction makes it possible to discriminate
against much larger fluxes of gamma rays than with detectors employing the ( $n, \alpha$ ) or similar reactions ${ }^{(13)}$.

Fission chambers containing the thermal-fissionable nuclei ${ }^{233} \mathrm{U},{ }^{235} \mathrm{U}$, or ${ }^{239} \mathrm{Pu}$ are efficient thermal neutron detectors. Materials which are fissionable by only fast neutrons are useful for fast-neutron measurement, particularly when it is desirable to discriminate against low and intermediate-energy neutrons. All energies below the threshold are excluded from the counting. Table 1.1 lists several fissionable materials of interest for fast-fission chambers, along with their threshold energies. The fissionable materials are incorporated into the chambers in the form of thin deposits and the double fission chambers are most commonly used. These chambers contain back-to-back fissile deposits in two independent fast ionization chambers. The electrodes are normally two discs parallel to the fissionable deposits as the anodes, while the back-to-back positioned deposits serve as the common grounded electrode. The EHT of about four hundred volts is usually applied as operating voltage. The chambers are used either as gas flow or sealed counters and pure methane or P-10 gas ( $90 \%$ argon, $10 \%$ methane) ${ }^{(14)}$ is normally used. However, the chambers utilizing argon containing $2 \%$ nitrogen have also been suggested ${ }^{(15)}$.

The absolute fission rates can be derived from the absolute counting of the fissions occurring in a known quantity of fissile material. A particular problem in such a method is the perturbation introduced from the fission chamber material in the point where the determination must be made. As a consequence it is tried to reduce

TABLE 1.1
Approximate values of fast-fission thresholds (13)

| Material | Threshold <br> (MeV) |
| :---: | :---: |
| ${ }^{238} \mathrm{U}$ | 1.45 |
| ${ }^{237}{ }_{\mathrm{Np}}$ | .75 |
| ${ }^{232} \mathrm{Th}$ |  |
| ${ }^{232} \mathrm{~Pa}$ | 1.75 |
| ${ }^{209}{ }_{\mathrm{Bi}}$ | 50 |

this perturbation by using chamber material compositions similar to those of the media investigated. To reduce neutron absorption and scattering effects, the electrodes and structural elements are usually made up of aluminium, and the insulators are made of a hydrogen-free polymer. The shielding of the access hole for electronic cables and gas tubing against the thermal and epithermal neutron streaming is also necessary for absolute fission rate measurements.

### 1.4.2 Gamma counting technique

In this technique, : use is made of the fission product activity in the foil detectors. If the fission yield of the product is known, the number of fission events can, therefore, be deduced from the gamma activity. There are two different techniques employed in gamma counting: the integral technique and the ${ }^{140} \mathrm{La}$ technique.

In the fission rate measurement by integral technique, the irradiated uranium foils are counted on a counting system which a threshold energy of 1.28 MeV of $\mathrm{a}^{22} \mathrm{Na}$ standard source is set at the discriminator. This threshold is set to discriminate against $\beta$-rays produced in ${ }^{238} \mathrm{U}$ capture which have a maximum energy of 1.2 MeV . This method is normally used to obtain fission rate ratios and requires calibration against another technique, usually fission chambers ${ }^{(16)}$.

The absolute values of $F_{8}$ and $F_{5}$ can be found by counting a particular fission product. Then, knowing the fission yield of this product, the number of fissionswhich have occurred in the sample can
be calculated. ${ }^{140}$ La is a common fission product which is usually selected and its 1.6 MeV gamma ray is detected. ${ }^{140} \mathrm{La}$ is produced from the decay of 140 Ba which is a fission product and has a halflife of 12.8 days. This is effectively the ${ }^{140} \mathrm{La}$ half-life after a few days, when ${ }^{140} \mathrm{Ba}$ and ${ }^{140} \mathrm{La}$ reach their equilibrium. ${ }^{140} \mathrm{La}$ decays to ${ }^{140} \mathrm{Ce}$ with the emission of several gamma rays, $96 \%$ of which is the 1.6 MeV gamma ray.

$$
\mathrm{U}+\mathrm{n} \longrightarrow 140_{\mathrm{Ba}} \frac{\beta^{-}}{12.8 \mathrm{~d}}{ }^{140} \mathrm{La} \xrightarrow{\beta^{-}}{ }^{140} \mathrm{Ce}
$$

Since the 1.6 MeV gamma ray is superimposed on a very large gamma background from other fission products, the resolution in counting is of importance. The number of ${ }^{140} \mathrm{Ba}$ nuclei at the end of irradiation in the sample is given by ${ }^{(17)}$ :

$$
N_{\mathrm{Ba}}^{0}=\frac{\lambda_{\mathrm{La}}-\lambda_{\mathrm{Ba}}}{\lambda_{\mathrm{Ba}}} \quad \mathrm{~N}_{\mathrm{La}}\left(\mathrm{t}_{\mathrm{d}}\right) \quad \exp \left(\lambda_{\mathrm{Ba}} \mathrm{t}_{\mathrm{d}}\right)
$$

where,

```
\(\lambda_{\mathrm{La}}\) and \(\lambda_{\mathrm{Ba}}\) are the decay constants of \({ }^{140} \mathrm{La}\) and \({ }^{140} \mathrm{Ba}\)
    \(N\) (t) is the number of \({ }^{140} \mathrm{La}\) in the sample at decay time \(t\).
        La d

Knowing the \({ }^{140} \mathrm{Ba}\) fission yield, Y , for the spectrum, the number of
fissions is calculated:
\[
\mathrm{F}=\mathrm{N}_{\mathrm{Ba}}^{\mathrm{O}} / \mathrm{Y}
\]

This method requires the use of a calibrated gamma detector, although reaction rate ratios can be obtained without knowledge of the detector efficiency.

\subsection*{1.4.3 Nuclear emulsions}

When charged particles pass through photographic emulsions, they can produce latent images along their paths. Upon development of the film, the grains of silver appear along the tracks of the particles. A variety of information can be obtained from the study of the tracks. Counting the individual path gives a measure of the number of nuclear particles entering the plate. A study of the detailed structure of the tracks leads to the determination of the mass, charge, and energy of the particles.

Nuclear track emulsions are widely used in cosmic ray physics, and high-energy particles from accelerators. It is also possible to detect fragments of uranium fission with emulsion despite the presence of a large flux of alpha particles. The techniques, theory and applications of nuclear track emulsion were described by Barkas \({ }^{\text {(18) }}\)

\subsection*{1.4.4 Solid-state track recorders (SSTR)}

When a heavy charged particle traverses certain materials it leaves a trail of radiation damage which shows up as a "track" when
a sample is viewed by transmission electron microscopy. This discovery that almost all solid-state materials are capable of recording the tracks of charged particles passing through the material, has led to the development of new particle detectors with important advantages over prior detectors in certain nuclear science application. These detectors known as Solid-State Track Recorders, SSTR, ( or Solid-State Nuclear Track Detectors, SSNTD, or Nuclear Track Techniques, NTI) could be natural minerals (e.g. mica or quartz), glasses, plastics (e.g. polycarbonates or Cellulose compounds), and/or single crystals (e.g. LiF or AgCl).

Growth in the use of solid-state track recorders has been much more spectacular than in the understanding of how tracks are formed. In addition to the obvious application to radiation dosimetry, fields as diverse as geophysics (dating antique glasses and ancient minerals and rocks), medical physics (production of biological filters), autoradiography (measuring the concentration of fissionable elements such as boron, lithium, and uranium), space science (determining cosmic, galactic, and solar particle flux densities), and air and water pollution have been influenced by tracks.

Fission track studies have an important place among the numerous applications of SSTR. Fission rate measurements, precise measurements of sponataneous fission half-lives, absolute fast neutron fission yields, and environmental neutron intensities are typical applications of fission track recorders. Gold et al (19)
have developed techniques for measuring absolute fission rates to accuracies approaching \(\pm 1 \%\) using SSTR. Besant and Ipson \({ }^{(20)}\) measured the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios in the fast reactor ZEBRA with SSTR and found the agreement to within the errors of \(\pm 4.2 \%\) with fission chamber measurements. The agreement in the same types of measurements has been improved to within \(\pm 3 \%^{(21)}\). Measurements of the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio by SSTR in several assemblies in a zero power fast reactor have shown an estimated accuarcy similar to that using the more conventional foil activation technique \({ }^{(22)}\). However, it is notable that accuracies of the order reported by Gold et al \({ }^{(19)}\) in 1968 for absolute fission rates have not appeared in the subsequent literature, nor has the technique had the impact in the dosimetry field which one would expect if such accuracies were routinely obtainable.

The important features of solid-state track recorders can be summarized as follows:
(a) The detectors are simple in construction and use.
(b) They are insensitive to light, unlike nuclear emulsions.
(c) The exposed and etched detectors can usually be stored for long periods of time under various extreme environmental conditions of temperature, humidity, mechanical vibrations or pressure, etc.
(d) Heavy charged particles such as fission fragments can be recorded and distinguished from a very high background of lighter charged particles like \({ }^{4} \mathrm{He},{ }^{3} \mathrm{He},{ }^{2} \mathrm{H},{ }^{1} \mathrm{H}\), beta particles, X-rays, gamma-rays and even neutrons.
(e) Since the detectors can be placed in direct contact with
fissile sources, a very high efficiency and sensitivity can be obtained.
(f) The detectors have a considerable amount of geometric flexibility, and are therefore, particularly useful in angular distributions measurements.

\subsection*{1.5 Previous work on SSTR}

In 1959, when E.C.H. Silk and R.S. Barnes \({ }^{(23)}\) working at Harwe11, published the first observation of fission fragment damage in mica by electron microscope, they probably did not expect that these tracks would become useful tools in many fields of sience and engineering. They alternated sheets of muscovite mica with sheets of aluminium upon which a layer of uarnium, less than one micron thick, had been vacuum evaporated. These sandwiches were irradiated in BEPO for a few minutes. Then after removal of the coated aluminium sheets, the surface layers of the mica which had been in contact with the aluminium were removed by cleavage. The thin mica sheets, up to 0.01 cm in size, were examined in an electron microscope at 100 KV . Tracks of the fission fragments which escaped from the uranium during the neutron bombardment could be seen in those pieces sufficiently thin for good electron transmission (probably less than \(1000 \mathrm{~A}^{\circ}\) thick). The tracks are generally straight, less than \(300 \mathrm{~A}^{\circ}\) diameter, and range from those which pass normally through the sheet and appear as dark dots, to those travelling almost in the plane of the thin sheet and greater than four microns long. The number of long tracks is greatest in the surface layers, but even here the number of full range tracks
would only represent about \(1 / 100\) of the total, due to the extreme thinness of the mica sheet.

Since then, numerous investigators have reported electronmicroscope observations of heavy-charged-particle tracks in thin films of various materials. The appearance of these tracks depends critically on the structure and thickness of the film, and although thin-film detectors may prove to be useful in certain high-resolution applications, they are not in the field of solid-state track recorders and will not be discussed here.

In 1961, P.B. Price and R.M. Walker \({ }^{(24)}\) of the General Electric Research and Development Centre, Schenectady, New York, carried forward from the stage where Silk and Barnes had left off, trying to stabilize the tracks in mica and to develop other techniques for observing tracks. In 1963, R.L. Fleischer \({ }^{(25)}\) joined the team of Price and Walker, and for several years almost all the work in this field was carried out by this trio team. They anticipated the potential generality and importance of phenomenon and initiated activity in a variety of fields, some of which is discussed in their 1965 article in the Annual Review of Nuclear Science \({ }^{(26)}\). Although they have reported in this article that they first found that tracks in mica could be "developed" and "fixed" by immersing the crystal in hydrofluoric acid, it was D.A. Young \({ }^{(28)}\) who first observed some shallow etched pits in lithium fluoride using the etching treatmeant. Fleischer, Price and Walker not only developed and put the technique on firm footing, but also applied it very successfully to neutron dosimetry, fission studies, cosmology, geophysics, etc., : and suggested the term of "trackology" for this branch
of science. A comprehensive list of their publications may be found elsewhere \({ }^{(26,27)}\). Very recently, the field has become quite popular in other laboratories as well, and extensive use of the detectors is being made. Armani \({ }^{(29)}\), Becker \({ }^{(30)}\), Benton \({ }^{(31)}\), Gold \({ }^{(29)}\) Khan \({ }^{(32)}\), Somogyi \({ }^{(33)}\), Varnagy \({ }^{(34)}\), etc., are among other notable names in this connection. The numbers of their publications are too many to be mentioned in all , and the References are only the latest ones.

In March 1973, R.V. Griffith \({ }^{(35)}\) published the results of the 1972 survey on track registration. In this survey, questionnaires were sent to more than 550 researchers at approximately 220 laboratories where work in track registration had been reported. These laboratories represented 29 countries. The results showed a survey of 118 laboratory groups in 20 countries. The national distribution of survey replies is shown in Table 1.2, and it certainly reflects widespread geographical interest in track registration.

In the past three years there has been a dramatical increase in the number of laboratories using the techniques for registration of nuclear particles in dialectric materials. In this period, the author has found some published work on Solid-State Track Recorders (SSTR) from the countries other than those in the Table 1.2, including Brazil \({ }^{(36)}\), Republic of China \({ }^{(37)}\), Czechoslovakia \({ }^{(38)}\), German Democratic Republic \({ }^{(39)}\), Pakistan \({ }^{(32)}\) and USSR \({ }^{(40)}\). It is felt that at present, probably more than 300 laboratories throughout the world are using these techniques. The more recent and comprehensive bibliography on SSTR literature can be found in Reference \({ }^{(41)}\).

\section*{TABLE 1.2}

The national distribution of laboratories using solid-state track recorders (35)
\begin{tabular}{|l|c|}
\hline \multicolumn{1}{|c|}{ Country } & \begin{tabular}{c} 
Number of \\
laboratories
\end{tabular} \\
\hline \hline United States & 53 \\
West Germany & 18 \\
France & 8 \\
Japan & 6 \\
England & 5 \\
Australia & 3 \\
Belgium & 3 \\
Canada & 3 \\
Italy & 3 \\
Switzerland & 3 \\
Hungary & 2 \\
Ireland & 2 \\
Netherland & 2 \\
Austria & 1 \\
India & 1 \\
Israel & 1 \\
Poland & 1 \\
Romania & 1 \\
Sweden & 1 \\
Trinidad & 1 \\
& \\
\hline
\end{tabular}

The elements that can be determined by the SSTR technique are shown in Table \(1.3^{(42)}\). The application is based on the fact that the number of tracks produced per unit area is proportional to the concentration of the element producing tracks. With the proper choice of detector and etching, it is possible to make chemical analyses in a variety of matrices.

As Table 1.4 makes evident, a variety of particles and radiation can readily be counted by their property of inducing fission; high energy charged particles including protons, electrons of a few hundred MeV , and photons of more than \(\sim 20 \mathrm{MeV}\) can be detected. Such dosimetry is particularly useful around high energy accelerators and is also applicable to recording doses of the lightly ionizing nucleonic portion of the cosmic rays that are encountered at high altitudes or in space. Often detector pairs with different fissioning nuclides will be needed if neutron effects are to be separated from those of the charged particles of interest \({ }^{(43)}\).

Solid-state track recorders have been used not only as detectors but spectrometers. Blok et al \({ }^{(44)}\) have made a fission fragment spectroscopy of the fission of silver induced by 80 MeV alpha particles by measuring the track length distributions in mica and track diameter distribution in glass detectors. Other investigators have made use of SSTR as neutron \({ }^{(45)}\) and proton \({ }^{(46)}\) spectrometer. This new detector has also been used for mass discrimination of \({ }^{3} \mathrm{He}\) and \({ }^{4} \mathrm{He}\) of about the same energy \({ }^{(47)}\).

TABLE 1.3
Elements that can be determined by SSTR \({ }^{(42)}\)


Particle track detectors (43)
\begin{tabular}{|c|c|c|c|c|}
\hline Type of radiation & Mode of observation & Detector material & Sensitivity (tracks/cm \({ }^{2}\) per particle/cm \({ }^{2}\) ) & Notes \\
\hline Fission fragments & Direct & Any dielectric solid & 1.0 & \\
\hline Heavy cosmic rays; Heavy ions from accelerator & Direct & Most plastic detectors & 1.0 & For ions at sufficiently low energies \\
\hline Alpha particles & Direct & Cellulose plastic or U.V. irradiated Lexan & 0.1-1.0 & Most efficient at energies below 4 MeV \\
\hline Protons & Direct & Cellulose nitrate or acetate & 0.1-1.0 & Only at very low energy ( \(<.55 \mathrm{MeV}\) ) \\
\hline Protons & Induced fission & Any dielectric solid & \(\sim 10^{-5}\) & High energy; depends on fission cross section of fissioned nuclide \\
\hline Fast neutrons & Induced fission & " & \(\sim 10^{-5}\) & " \\
\hline
\end{tabular}
```

TABLE 1.4 (continued)
Particle track detectors (43)

```
\begin{tabular}{|l|l|l|l|l|}
\hline \multicolumn{1}{|c|}{\begin{tabular}{c} 
Type of \\
radiation
\end{tabular}} & \multicolumn{1}{c|}{\begin{tabular}{c} 
Mode of \\
observation
\end{tabular}} & \begin{tabular}{c} 
Detector \\
material
\end{tabular} & \begin{tabular}{c} 
Sensitivity \\
(tracks/cm \({ }^{2}\) per \\
particle/cm \()^{2}\)
\end{tabular} & Notes \\
\hline \hline Thermal neutrons & Induced fission & \begin{tabular}{c} 
Any dielectric \\
solid
\end{tabular} & \(\sim 5 \times 10^{-3}\) & \begin{tabular}{l} 
For 235 U fission \\
plates
\end{tabular} \\
\hline Thermal neutrons & \begin{tabular}{l} 
(n,alpha) \\
reaction
\end{tabular} & \begin{tabular}{l} 
Cellulose nitrate \\
or acetate
\end{tabular} & \(\sim 2 \times 10^{-2}\) & \begin{tabular}{l}
\(10_{\text {B reaction }}^{\text {plates }}\)
\end{tabular} \\
\hline Electrons & Induced fission & \begin{tabular}{l} 
Any dielectric \\
solid
\end{tabular} & \(10^{-8}\) to \(10^{-7}\) & Energy 200-500MeV \\
\hline Photons & Induced fission & \(\sim\) & \(\sim 2-3 \times 10^{-6}\) & Energy \(>20 \mathrm{MeV}\) \\
\hline
\end{tabular}

\section*{2. REVIEW OF THEORETICAL MODELS}

Individual massive charged particles, produce linear trails of radiation damage in many solids. These damage trails or tracks may be formed in almost any sort of insulating materials - crystalline, glassy, or polymeric - but have not been seen in good conductors (Table 2.1) \({ }^{(48)}\). A large class of materials of a resistivity of more. than \(2000 \Omega \mathrm{~cm}\) are known to be capable of recording and storing tracks; materials of less resistivity apparently do not have this capability. Although the resistivity by itself is not a unique criterion, Table 2.1 is used because resistivity is a simple, easily measurable quantity which seems to separate most materials into track-forming or non-trackforming groups.

\subsection*{2.1 Energy loss processes}

When a heavy charged particle moves through a medium composed of atomic nuclei and electrons, it can lose energy by three main processes. The principal mode of energy loss is that due to interaction with the atomic electrons by Coulomb excitation or ionization. It may also lose energy by direct collisions with nuclei of the stopping medium, though such events are rare until the particle nears the end of its path. The third energy loss process, that of emission "bremsstrahlung" and "Čerenkov" radiation, is small compared to the first two processes. For ewery energy \(E\), therefore, the total rate of energy loss (the absolute stopping power), is a combination of the rates of energy loss

TABLE 2.1

Relation of track-storing properties of materials to electrical resistivity (48)

due to each of the three processes, and may be written in the form (49)
\[
\begin{equation*}
\left(-\frac{d E}{d x_{\text {total }}}=\left(-\frac{d E}{d x_{\text {electronic }}}+\left(-\frac{d E}{d x_{\text {nuclear }}}+\left(-\frac{d E}{d x_{\text {radiation }}}\right.\right.\right.\right. \tag{2.1}
\end{equation*}
\]

\subsection*{2.1.1 Energy losses by radiation}
"Bremsstrahlung" or braking radiation is emitted when a charged particle is rapidly accelerated or retarded in the field of a nucleus \({ }^{\text {atom }}\). The intensity of the radiation is, according to the classical electrodynamics, inversely proportional to the square of the mass of the incident particle, and consequently the phenomenon is of much less importance in the case of heavy ions than it would be for lighter particles such as electrons. Cerenkov radiation arises from the polarization of a dielectric along the path of a charged particle when the velocity of the latter exceeds the phase velocity of light in the medium. This polarization is time dependent owing to the moving electric field of the particle and can produce a radiation field. This effect is, of course, vanishingly small, in the case of a fission fragment, since the particle velocity is very much less than the velocity of : lightin any dielectric. Therefore, the energy loss due to radiation can be neglected.

\subsection*{2.1.2 Nuclear collision losses}

Retardation of a heavy charged particle by collisions with atoms in the material only takes precedence near the end of the particle range, where electronic excitation becomes small. Such two-body nuclear
collision may be described classically (Bohr, 1948) provided that the collision diameter \(b\), the distance of the nearest approach in a head-on collision, is very much greater than de Broglie wavelength, \(X\). For scattering of a charged particle by a Coulomb field of force, this condition may be written
\[
\begin{equation*}
K=b / x=\left(Z_{1} z_{2} e^{2} / h v\right) \gg 1 \tag{2.2}
\end{equation*}
\]
where \(\mathrm{Z}_{1}\) and \(\mathrm{Z}_{2}\) are the atomic number of the moving and struck particles respectively and \(v\) is the velocity.

It has been shown \({ }^{(49)}\) that the specific rate of nuclear energy losses for collision between two particles specified by \(\left(M_{1}, Z_{1}, E\right)\) and \(\left(M_{2}, Z_{2}, 0\right)\) is given by:
\[
\begin{equation*}
\left(-\frac{d E}{d x}\right)_{\text {nuclear }}=\left(\frac{\pi z_{1}^{2} z_{2}^{2} e^{4}}{E}\right)\left(\frac{M_{1}}{M_{2}}\right) n_{0} \ln \left[\frac{2 a E}{z_{1} z_{2} e^{2}} \cdot \frac{M_{2}}{M_{1}+M_{2}}\right] \tag{2.3}
\end{equation*}
\]
where
\begin{tabular}{rl}
\(n_{0} \quad=\quad\) spatial density of the nuclei in the medium \\
\(a \quad=\quad\) the screening parameter which takes into consideration \\
& the screening effect of bound electrons on each nucleus.
\end{tabular}

\subsection*{2.1.3 Electronic energy losses}

If it is assumed, in a first approximation, that the energy loss collisions which the moving particle makes with atomic electrons
are also to be considered within the framework of classical mechanics, then using the differential scattering cross section given by the Rutherford law, the energy loss rate to electrons can be written as
\[
\begin{equation*}
\left(-\frac{d E}{d x}\right)_{\text {elecrtonic }}=\frac{2 \mathrm{z}_{1}^{2 / 3} z_{2}^{1 / 3} h^{3} n_{o}}{\pi^{2} e^{2} m}\left(\frac{2 E}{M_{1}}\right)^{1 / 2} \tag{2.4}
\end{equation*}
\]

In the above expression the symbols \(Z_{1}, Z_{2}, E, M\) and \(n_{0}\) having the same meaning as given for equation 2.3, and the symbols \(e\), \(m\) and \(h\) the usual meaning of the electronic charge, electronic rest mass, and Planck's constant, respectively.

\subsection*{2.2 Track formation criteria}

The major properties of tracks - their high chemical reactivity, their fading kinetics during heat treatment, their diameters, and the damage threshold for their formation - have led to the following physical description : Tracks in crystals and in glasses consist primarily of narrow, roughly cylindrical regions, with a high concentration of displaced atoms and vacant sites. The case of tracks in high polymers is more complicated, primarily because of the greater multiplicity of chemically active defects that can occur displaced atoms, broken molecular chains, free radicals, etc.

It has been well established \((26,27)\) that a registration threshold exists for each solid-state track recorder such \(\because\) that for damage densities below this threshold value, a track cannot be developed. The track must intersect the surface and be above threshold, but this does not necessarily lead to an observable etch pit upon development.

If \(\mathrm{V}_{\mathrm{G}}\) is the bulk etching rate and \(\mathrm{V}_{\mathrm{T}}\) the etching rate along the track, then no tracks making an angle less than \(\theta=\sin ^{-1}\left(V_{G} / V_{T}\right)\) with respect to the surface will develop into etch pits \((50,51)\); that is, the surface dissolves away faster than the etch pit develops. For this reason, registration thresholds are experimentally determined for the \(\boldsymbol{g}^{\text {cven }}\). bombarding particle.

\subsection*{2.2.1 Total energy loss criterion}

The precise mechanisms by which chemically reactive defects are produced are less clear than is the nature of the resulting defects, and no completely satisfactory theory of track formation exists. Fleischer, Price and Walker developed a model of track formation in which the rate of chemical dissolution of the material along the track can be related to some parameter \(J\) that is a function of the atomic number \(Z\) and velocity \(\beta\) of the particle. This initial approach which became clearly inadequate as soon as extensive calibration data with heavy ion beams became available, was to equate \(J\) with \(d E / d x\) the rate of energy loss of the particle \({ }^{(26)}\). The curves of \(\mathrm{dE} / \mathrm{dx}\) given in Ref. (26) are now quite out of date and do not correlate as well with subsequent observations as do curves relating to radiation close to the trajectory.

\subsection*{2.2.2 Primary ionization criterion}

In 1967, Fleischer et al \({ }^{(52)}\) themselves reported that the total energy loss criterion is not consistent with some of the
experimental results. In some materials the tracks were registered at the lower threshold than predicted by the total energy loss criterion and also the prediction on the basis that relativistic ions can make etchable tracks in cellulose nitrate was found to be incorrect. The new criterion, guided by an "ion explosion spike" model of track formation (Section 2.3.3), was to associate the parameter \(J\) with the density of ionized atoms plus excited atoms within a few atom diameters of the trajectory. Fleischer et al. concluded that a quantity somewhat different from the total energy loss rate should determine the presence or absence of the tracks. It is the primary ionization rate (i.e. the number of primary electrons formed per unit length of track) and not the total energy loss rate which governs the registration of tracks. Fig. 2.1 gives a set of ionization curves for various bombarding nuclei. Approximate threshold ionization levels for several solids are indicated by dashed lines to give an idea of relative sensitivities \({ }^{(27)}\). These registration thresholds are the most significant identifying characteristic of dielectric detectors. Fig. 2.2 illustrates the track registration as a function of energy for a number of ions in muscovite mica; (a) shows the relationship between \(d E / d x\) and the energy \(E\), and (b) illustrates a set of corresponding curves of primary ionization. Regions of (i) complete tracks, (ii) partial tracks, and (iii) no tracks, based on the total energy loss rate and primary ionization rate are also (52)


Fig. 2.1 The threshold damage density for a variety of dielectric materials (Reproduced from Ref. 27)

\section*{ENERGY / NUCLEON(MeV)}


Fig. 2.2 (a) Total energy loss rate and (b) primary ionization rate in muscovite mica of various charged particles of varying energy (Reproduced from Ref. 55).

\subsection*{2.3 Mechanisms of track formation}

In order to choose the right material for different particle registration, it is necessary to know the relation between the characteristics of the material and the particles to be registered. So far, no coherent, comprehensive theory of the latent track-formation mechanism and preferential etching kinetics in insulators is available. Various models of these mechanisms were reviewed by Fleischer et al \({ }^{(48)}\) including the thermal spike, the displacement spike, and the ion explosion spike. In addition to this, Benton \({ }^{(53)}\) has proposed a restricted energy loss (REL) model, and Katz and Kobetich \({ }^{(54)}\) have introduced a radiation dose or delta-rays model.

\subsection*{2.3.1 Thermal spike model}

This model considers that the energy which is lost to the electrons eventually reappears in a relatively short time as heat in the lattice, whereupon it diffuses away by normal thermal conductivity. If this energy is initially passed to the lattice within a small cylindrical region surrounding the ion's path, a region of extremely high localized temperature is created. Such a region is known as a "thermal spike". For example, if a fission fragment lowses \(30 \mathrm{MeV} / \mu \mathrm{m}\) and this energy is passed to the lattice over a cylinder of radius 10 nm , a temperature rise of the order of \(24000^{\circ} \mathrm{K}\) is predicted \({ }^{(55)}\). It is quite evident that if such a high temperature is maintained for appreciable times, the processes such as melting and recrystallization, surface evaporation, or point defect creation and migration would be highly probable.

According to Morgan and Vliet \({ }^{(55)}\) there are two possible conditions under which an intense spike of this nature will NOT form.
(1) If the initial energy is more rapidly spread via the free electron collisions, then passed to the lattice via electron-photon collisions, the eventual spike is considerably wider and correspondingly much less intense. This is the situation envisaged for metals, where one has both a large number of free electrons, plus rapid electronelectron coupling to dissipate the energy.
(2) Or, one might envisage a situation where an intense thermal spike is created, but due to very efficient heat conduction it lasts for such a short time that no appreciable rearrangement of the latice results.

According to the thermal spike model, there are two essential conditions for track formation. Firstly, the state of high temperature should exist for appreciable times, which precludes that electron-photon coupling should be stronger than the electron-electron coupling in the material. Secondly, the normal heat conductivity in the material should be low. While Morgan and Vliet believe that the spike model has indeed correctly demonstrated that the damage resulting from thermal spikes is greatest in insulators, intermediate in semiconductors, and negligible in metals, Fleischer, Price and Walker \({ }^{(48)}\) discarded the thermal spike model "as not leading to fruitful predictions". The failures of this theory as follows:
(1) No insulators have shown any sign of a high temperature phase even in a heavily irradiated condition.
(2) The calculation of the widths of the tracks correlated with the relative thermal stability of different materials, is in disagreement with Fleischer et al. and other observations.
(3) Sensitivities of different track: forming materials are not related to their known melting, softening or transformation temperature.

\subsection*{2.3.2 Displacement spike model}

Although a major conclusion of the analysis of energy loss was that direct collisions with nuclei are of minor importance, it must not be assumed that the atomic displacement is negligible. There is high probability that an atom as a complete entity will receive kinetic energy in that region of high thermal and electronic excitation which lies in the wake of a charged particle. Therefore, a number of atoms will be displaced by secondary processes arising from the electronic part of the energy loss of the particle. Secondary displacement processes are also important in the history of a primary knocked-on atom deriving from a nuclear collision. Such an atom will undergo elastic, and if energy is sufficient, inelastic collision with its neighbours, initiating further secondary and higher order displacement. A cascade of displaced atoms will build up until the maximum energy of any atom falls below the appropriate "displacement threshold", \(E_{d}\). The value of \(E_{d}\) depends on the binding and the crystallographic characteristics of the material and is normally about 25 eV , though it is directionally dependent in crystalline matter, and can be much higher in certain unfavourable directions \({ }^{(49)}\).

In a very simple case where an atom in an element receives energy in excess of its displacement threshold, but insufficient for it to displace another, one can postulate with reasonable accuracy that it will eventually return to its lattice site or come to rest in an interstitial positon of metastable equilibrium. In a real situation, however, the displacement cascade is a very complicated, many body process. In particular, many neighbouring atomic displacements will be created in many small volumes adjacent to the trajectory of the particle. This multiple displacement idea lead naturally to the concept of the "displacement spike", first suggested and developed by Brinkman \({ }^{(49)}\). It is hypothesised that a multiple vacancy can be created at the end of the path of an incident charged particle or an energetic primary knock-on ( \(\sim 1000 \mathrm{eV}\) ); the configuration immediately following each event being a shell of interstitial atoms surrounding a vacancy core. A schematic representation of the application of this model to the passage of a fission fragment in a crystalline solid is given in Ref. (49).

\subsection*{2.3.3 Ion explosion spike model}

The ion explosion model predicts that a charged particle should cause damage by formation of ion pairs along its path \({ }^{\text {(52) }}\) as it passes through dielectric material. The number of ion pairs formed per unit path length is given by Bethe's primary ionization rate equation (Bethe, 1930). A narrow cylindrical region of positively ionized atoms is produced behind the ion trajectory. These positive ions mutually repel each other so that some are ejected outwards
into interstitial positions, leaving behind a vacancy-rich cylindrical core. Thus a cylinder of \(40-80 \mathrm{~A}^{\circ}\) diameter and a few microns long is formed, which can either be directly seen under a high magnification of a transmission electron microscope or an opitcal microscope can be employed, if they are chemically enlarged.

According to the ion explositon spike mode, in order for tracks to be formed four conditions must necessarily be satisfied: (i) The electrostatic stress must be greater than the mechanical strength or bonding strength of the crystal which indicates that tracks are more easily formed in materials of low mechanical strength, low dielectric constant, and close interatomic spacing.
(ii) A second criterion that in some materials tracks must be \(\cdots\) continuous, requires at least one ionization per atom plane crossed by the incident charged particle. Therefore, \(n>1\) (no. of ionization per atom) is a second criterion for track formation in such materials. In other materials it is likely that \(n\) will be \(\sim\) unity. Using such a criterion is limited to tracks which can be identified by the etching technique. For other methods of revealing tracks (Chapter 3) different criteria will no doubt apply. (iii) The free electron density should be low, otherwise the electrons removed by the energetic ion are replaced by the free electrons in a short time and no tracks will result. This means that for track formation there is a maximum permissible of free electrons, which in turn relates the track-storing property of a solid to the electrical conductivity. This condition illustrates why the insulators register the tracks of the charged particles and metals do not.
(iv) Tracks are not formed in the materials with high hole mobility. This is because the rapid outward diffusion of the holes neutralizes the core atoms and thereby inhibits the formation of defects. It follows that metals and many semiconductors, including silicon and germanium are normally not track storing materials. On the other hand, in many other semiconductors, including the vanadium glass, it is thought that the thermal activation occurs as a result of the intermittent overlap of ions due to thermal vibrations. For any such material the direct ejection of ions should be possible.

For plastics, the ion explositon spike model predicts that 3 MeV alpha particles should not register, though in fact, they are recordelin certain plastics up to 5 MeV . Since it is known that as little as 2 eV is sufficient to break bonds (as a result of excited electrons) in polymers, whereas the minimum energy for primary ionizations is \(\approx 10 \mathrm{eV}\), it is reasonable to assume that additional energy loss processes should be included in the track formation mechanism. This argument is frequently used against primary ionization rate as the correct expression for the damage density in plastics, although an empirical form of the expression has been successfully applied to plastics and to other dielectric materials \({ }^{(52)}\). Fig. (2.3) shows schematic view of ion displacements \({ }^{(56)}\) as a result of the extensive ionization along the path of a massive energetic charged particle in (a) plastics (b) crystals.

The ion explositon spike model agrees well with experiment. It predicts correctly the conductivity dépendence of track formation.

(a)

(b)

Fig. 2.3 Models showing the formation of latent trails in (a) plastics, (b) crystals (Reproduced from Ref. 56).

Further, in contrast to the thermal spike it asserts that the primary ionization rate, not the rate of energy loss, is the important parameter, in agreement with the experimental observations of Fliescher et al \({ }^{(48)}\).

\subsection*{2.3.4 Restricted energy loss model}

In 1968, Benton \({ }^{(53)}\) put forward a new model for the registration of charged particle tracks in plastics. According to Benton, the restricted energy loss (REL) model essentially considers all secondary electrons with energies below a certain energy as important in the formation of a track, whereas the higher energy electrons are not important. The energy loss of a charged particle in matter, due primarily to inelastic collisions with electrons, can be divided into two regions according to close and distant collisions with the electrons. REL is defined as "the rate of energy loss of the bombarding particle in such collisions (distant collisions) with the electrons of stopping material which result in the ejection of electrons of energy \(W\), less than some predetermined value \(W_{0}\) ". Benton used the expression for the energy loss due to distant collision to calculate damage density, which then applied to cellulose nitrate and Lexan (General Electric Company, U.S.A.) polycarbonate plastic detectors gave registration thresholds that agreed with the experimental results. Figures (2.4) and (2.5) show the restricted energy loss (REL) rate values for a number of heavy ions in cellulose nitrate and Lexan respectively \({ }^{\text {(53) }}\).


Fig. 2.4 Restricted energy loss rate, \((\mathrm{dE} / \mathrm{dx})_{\omega}<10^{3} \mathrm{eV}\), as a function of energy per nucleon for a number of heavy ions in cellulose nitrate. The experimental data on track registration is superimposed on the theoretical curves in the form of closed and open points, indicating track registration and lack of track registration, respectively (Reproduced from Ref. 53).


\subsection*{2.3.5 De1ta-rays model}

Katz and Kobetich \({ }^{\text {(54) }}\) have made an entirely new approach to the mechanism of track formation. According to them, the significant part in track formation is not played by 'positive ions' but by the 'secondary electrons'. Their model relates the 'dose' produced by::secondary electrons at a particular radius from the path of the particle to the charge and velocity of the particle. They have calculated the registration thresholds for charged particles in cellulose nitrate and Lexan and they are in agreement with experimental results.

\subsection*{2.4 Critical angle of etching}

The SSTR sensitivity depends, among a number of factors, on the energy and angular distribution of the particles emitted from the source. It has been shown that only those particle tracks can be revealed by chemical etching whose angles to the surface exceed a critical angle. The concept of "critical angle of etching" was first introduced by Fleischer and Price \({ }^{(50)}\) and later by Somogyi et al \({ }^{(51)}\), and then experimentally investigated by Khan and Durrani \({ }^{(12)}\).

The reason that tracks become visible at all is that the damage trails are etched preferentially by the etchant; in other words they velocity V of the etchant along the track is greater t than the general or bulk velocity \(V\) along any other direction in g the medium. Take a particular track entering the surface of the detector at angle \(\theta\). In time \(t\), the etchant penetrates a distance
of \(\underset{t}{V} . g\) and \(V . t\) along the track and normal to the detector surface, respectively. So a layer of \(V\).t thick is etched away from the g
SSTR surface and that of \(V\).t from the damaged region. If, under t the applied etching conditions, \(V_{t} . t\) is less than \(V{ }_{g}\).t then the track will fail to leave an etch pit on the final layer. This happens at all angles lower than \(\theta_{c}\), the critical angle of etching. Table 2.9 shows the critical angle of etching of various SSTR for \({ }^{252}\) Cf fission fragments \({ }^{(12)}\). So for the value of the critical angle has been defined by the formula
\[
\begin{equation*}
\theta_{c}=\arcsin \frac{V}{v} \tag{2.5}
\end{equation*}
\]

The above relation, however, represents only an ideal case. In actual practice only those tracks can be regarded as observable with the optical microscope where the projected length of \(Z\) of the tracks to the normal of the detector surface is more than a minimum value Z where Z is about 0.5 to \(1 \mu \mathrm{~m}\). Then, for the critical min min (51)
registration angle we have
\[
\begin{equation*}
\theta_{c}=\arcsin \left(\frac{v}{v} \frac{\mathrm{~g}}{\mathrm{t}}+\frac{\mathrm{z}}{\mathrm{~m}} \frac{\min }{\mathrm{~m}_{\mathrm{m}}}\right) \tag{2.6}
\end{equation*}
\]
where,
\[
\underset{m}{R}=R(E) \quad \text { if } \quad R(E)<R\left(E_{c}\right)
\]

\section*{TABLE 2.2}

The critical angle of etching of various S S T R for \({ }^{252}\) Cf fission fragments (12)
\begin{tabular}{|c|c|c|}
\hline Detecting material & \multicolumn{2}{|l|}{Critical angle} \\
\hline Soda-1ime glass & \(35^{\circ}\) & 30 \\
\hline Reference glass (U-2) & \(31{ }^{\circ}\) & 45 \\
\hline Obsidian glass & \(26^{\circ}\) & 00 \\
\hline Tektite glass & \(25^{\circ}\) & 45 \\
\hline Quartz & \(7{ }^{\circ}\) & 15 \\
\hline Mica & \(4^{\circ}\) & 30 \\
\hline Makrofol (Bayer) & \(3^{\circ}\) & 00 \\
\hline Lexan (G.E.C.) & \(2^{\circ}\) & 30 \\
\hline
\end{tabular}
and,
\[
{\underset{m}{m}}_{R}^{\text {R }} \underset{c}{R(E)} \quad \text { if } \quad R(E)>R(E)
\]
where \(R\) is the maximum etchable track length and \(R(E)\) is the m real range of the particle of energy \(E\) entering the detector; while \(R(E)\) is the range of the particle having the critical registration energy. Relation (2.6) shows that if we investigate particle tracks for which the value of \(V\) is comparable to that of \(V\), no observable tracks are revealed even for particle having g considerably higher angles to the detector surface than expected from Eq. (2.5).

\section*{3. REVIEW OF TRACK DETECTION TECHNIQUES}

The passage of charged particles, as described earlier, appear as narrow trails of radiation damage in insulating materials such as crystals, glass, mica and plastics. This narrow damaged region has been termed "latent damage trail" or simply "track". The dimensions of these damaged regions are only about \(100 A^{\circ}\)

For Risaion Rengments ar \(\alpha / 2\)
diameter by \(\simeq 10\) microns depending on the material.
There are several ways for revealing tracks in solid-state track recorders:

\subsection*{3.1 Electron microscopy}

In several materials regions damaged by the charged particles cause electron diffraction and, consequently, they can be observed by an electron microscope, as first employed by Silk and Barnes \({ }^{(23)}\), without any previous procedure. The techniques employed so far are transmitted and scanning electron microscopy.

\subsection*{3.1.1 Transmitted electron microscopy (TEM)}

Transmitted electron microscopy is suitable for measurements of track density greater than \(10^{9}\) tracks \(/ \mathrm{cm}^{2}\), but requires the preparation of extremely thin samples.

Plastic films, for \(T E M\), must be very thin (less than 1 micron thick) \({ }^{(57)}\) so that they can remain stable in the electron beam. Even with films with 1 micron and less, electron scattering in some plastics will result in a charge build-up which can lead to a
temperature rise sufficient to cause melting and a break down of the film. Thin specimens are normally supported on fine copper wire grids and this helps to reduce charging in the film. The difficulties can also be reduced by the use of a very high beam energy (e.g. IMV).

Since the transmission electron microscope provides information about the internal structure of a transparent specimen, this technique does not allow for the direct investigation of surfaces of solids such as lunar samples. The alternative is the application of the replica technique (58). The direct observation of a surface by means of a replica permits a resolving power up to \(5 \mathrm{~nm}{ }^{(59)}\).

\subsection*{3.1.2 Scanning electron microscopy (SEM)}

Scanning electron microscopy is much more straighforward than TEM, and is suitable for track density less than \(10^{9}\) tracks/cm \({ }^{2}(60)\). The samples must first be etched (see Section 3.4) to produce surface details and then coated with a conducting layer, usually gold.

In a scanning electron microscope a primary electron beam, emitted from a heated tungsten filament, is focused into a fine electron probe on the specimen and made to scan and raster - similar to television techniques - on the surface by a detection system. Electrons liberated from the specimen by the focused primary beam are detected by a photomultiplier tube with a scintillator mounted on top.

The photomultiplier output signal is used to modulate the brightness of the electron beam in a cathode-ray tube, which is scanned in synchronism with the electron probe. The resolution depends upon the diameter of the electron probe, the accelerating voltage, the detector system and the type of specimen.

The electron microscopy techniques for track observation seem to be complicated and from the point of view of the majority of practical applications, cannot be taken into account. This is because the procedure is tedious, requiring the preparation of for TEM extremely thin samples, and can be used only with great difficulty for most solids. Even with suitable solids the high magnification needed to see the tracks, requires that the track densities be high in order for studies to be possible. Finally only a small portion of the total range of most heavy particles of interest can be examined at one time in the electron microscope. This technique is, however, unique from the point of view of the investigation of the track's structure and early stage of track revealing.

\subsection*{3.2 The decoration method}

Another possibility of revealing tracks can be provided by the so-called decoration, i.e. the formation of a new phase layer of material along the damaged region which is distinguishable in an optical manner from the surrounding material. This is, of course, the classical method of track development in photographic emulsions. So far this has been achieved in the case of silver chloride single crystals \({ }^{(61)}\) and a kind of glass doped with silver \({ }^{(26)}\).

The crystal of a volume of about \(1 \mathrm{~cm}^{3}\) is exposed after irradiation, to a pulsed electric field of \(4 \mathrm{kV} / \mathrm{cm}\) usually and at one surface \(\div\) to a simultaneous pulse of ultraviolet light with \(10^{9}\) photons per pulse at a repetition rate of about \(1000 / \mathrm{sec}\). The conductivity electrons (and holes) produced by absorption of the photons in a surface layer of some microns, are swept through the crystal by the electric field. Electrons trapped at defects, for instance along the path of the particle, initiate the migration of \(\mathrm{Ag}^{+}\)ions, thus producing the decoration of the track as a chain of silverspots and of other disturbed structure of the crystals, such as dislocation lines for instance.

\subsection*{3.3 The dyeing method}

This technique is an attempt to detect unetched tracks using optical microscope. The method is based on the use of cross linkage copolymerisation of irradiation-damaged polytetrafluoroethylene, Teflon, with acrylic acid monomer followed by dyeing with the basic dye Rhodamine \(B\) which phosphoresces in orange under exposure to blue light.

Maybury and Libby \({ }^{(62)}\) irradiated Teflon plastic films with fission fragments from a \(50 \mu \mathrm{Ci}{ }^{252} \mathrm{Cf}\) source for \(1-2 \mathrm{~min}\). at room temperature. The samples were then inserted into glass tubes containing acrylic acid solution and degassed by freezing and pumping the system several times. After degassing, a grafting reaction with the free radicals in the tracks was allowed to continue in the absence of air at controlled temperatures ( \(23-40^{\circ} \mathrm{C}\) ), for varying times ( \(5-30 \mathrm{~h}\) ).

After the grafting, the Teflon samples were washed thoroughly in dexionised water and dyed with a boiling \(3 \%\) solution of Rhodamine B for several hours and then washed in a \(2 \%\) acid soap solution to remove any unfixed dye. This procedure was apparently successful : the basic dye fixed itself to the acidic polymer that was attached to the damaged area of the Teflon. Finally, the samples were examined with a microscope fitted with an ultraviolet lamp. Rhodamine B phosphoresces with an orange colour when illuminated with light at the wavelength of 400 nm . A cut-off filter eliminated the excess blue light which produced a dark field, and the fission tracks then appeared as bright lines.

\subsection*{3.4 Chemical etching}

A more general method of making visible tracks intersecting the surface is by selective chemical etching in a suitable reagent; which is applicable to many solids and permits study of tracks in the optical microscope, where low densities of tracks and total ranges can be easily measured.

Although the simple discovery of track etching is widely attributed to Fleischer, Price and Walker \({ }^{(63)}\), it was Young \({ }^{(28)}\) who had first introduced chemical etching in the studies of radiation damage in solids. While the most general applied procedure is etching in aqueous solutions, in nickle chloride, for example, exposure to atmosphere is sufficient to cause the track to be etched \({ }^{(55)}\).

The chemical etching effect was first discovered in synthetic fluor-phlogopite mica. When a pre-thinned mica flake containing
fission fragment tracks was immersed in a suitable reagent, the volume of material composing the tracks was very selectively attacked. The reagent etched fine hollow channels along the paths taken by the fission fragments and left the rest of the mica essentially untouched. With increasing immersion time the etchant enlarged the channels by dissolving the surrounding mica at a rate which varied with the type and temperature of the reagent.

In some minerals, such as muscovite mica, zircon, and diopside, the rate at which the holes widen is much less rapid than the rate at which the damaged material is attacked, with the result that the etched tracks are of constant diameter. In other materials (glass is a good example) the rate of attack along the radiation-damaged regions is greater than, but comparable to, the overall attack rate, so that the etched tracks are tapered rather than cylindrical. In extreme cases, as in the etching of calcite or lithium fluoride, only shallow etch pits result \({ }^{(64)}\).

The geometry of the etched tracks varies with the substance being examined, the solvants used, and the time and temperature of attack. There are only general guide lines to aid the experimenter in choosing the proper etching conditions for track development, and any new substance must still be approached empirically. The important thing to realize, however, is that the preferential revelation of tracks is a very general. phenomenon. In most insulating materials - minerals, glasses, or polymers - it has been possible to reveal charged-particle tracks. Thus almost any insulator can be used as a charged-particle
track detector.

\subsection*{3.5 Track-etch detection techniques \\ Detection of etched tracks may be achieved either by eye} using an optical microscope or automatically by means of automatic counters. Some techniques, however, were developed to enlarge the etched tracks to be visible and counted by the unaided eye. These "semi-automatic" counting techniques which have been replaced by the complicated electronic circuits and digital computers, are the earliest simple and fast methods for detecting tracks in SSTR.

A major inconvenience of the SSTR method, is the necessity of visual counting of tracks, a task which is expensive, tedious and time consuming. This drawback is clearly found in precise measurements where inherent statistical limitations require the observation of large numbers of tracks for adequate precision. Moreover, in precise measurements, elimination of the human element is highly desirable, since it would permit the introduction of quantitative standards for track recognition. Such standards would obviate problems of personal bias in manual track counting, which can otherwise influence experimental data and therefore must be constantly guarded against. Consequently, considerable interest exists in the automation of this task.

Many groups have attacked this problem with varying degrees of success. Ozalid method \({ }^{(65)}\) and light scattering \({ }^{(66)}\) are two of the earliest attempts in semi-automatic track counting. A spark counting method \({ }^{(30,67-69)}\) applicable with plastic SSTR such as Makrofol or Lexan has been successfully demonstrated but possesses severe
limitations for precision work. Recent investigations take advantage of digital computers in automatic scanners \({ }^{(70-74)}\). Three commercially available instruments, the Quantimet \({ }^{(20-22, ~ 73)}\) (Inanco, England), the Classimat \({ }^{(70)}\) (Leitz, Germany), and the Leitz-Texture-AnalyzingSystem (Leitz-T.A.S.) \({ }^{(74)}\) have been used in automatic fission track counting. Some of the most commonly track-etch detection techniques are briefly discussed in the following paragraphs.

\subsection*{3.5.1 Ozalid method}

A simple and fast method for detecting holes in polymer films and plastic track detectors has been described by Blok et al \({ }^{(65)}\) of the General Electric Research Centre. It consists of placing the polymer to be examined with a sheet of Ozalid paper and passing the pair through the second (ammonia) stage of a conventional Ozalid machine. The ammonia vapour passes through the holes and darkens the Ozalid paper, clearly revealing the location of etched holes. For example, a particle track that has been etched to form a \(50 \mu \mathrm{~m}\) diameter hole through a 0.25 mm sheet of plastic will produce as its Ozalid image a dark spot approximately 1 mm in diameter.

\subsection*{3.5.2 Light scattering}

Fission track densities in glass and in Lexan polycarbonate resin have been measured using light scattered from the tracks as a measure of the track density \({ }^{(66)}\). Scattered light was found to be proportional to track density up to the point where tracks begin to
overlap. For the two track detector materials tested, a scattering angle was found at which optimum signal-to-background ratios are obtained.

\subsection*{3.5.3 Spark scanning}

There have been several attempts to count the tracks by spark scanning technique.
(a) Lark \({ }^{(67)}\) has described a technique for detecting fission fragment tracks in thin films of polycarbonate plastic (Makrofol). Very thin films are used so that the chemical etching of radiation damage produces microscopic holes through the film. The films were irradiated with \({ }^{252}\) Cf fission fragments and etched in NaOH . The etched film was then placed as insulation between the two electrodes, namely copper, of a spark gap. It is convenient to use a smooth flat metal plate in a horizontal position as the grounded electrode, and either a single point or a straight blade edge as the positive electrode. As the film is moved past the gap the occurence of sparks indicates the presence and position of a hole in the film, and the sparks will enlarge the holes from \(\approx 1 \mu \mathrm{~m}\) to \(20 \mu \mathrm{~m}\), a size visible to the unaided eye. The sparks are easily heard as well as seen and the film serves as its own recording device, as the sparks produce a dark deposit around the edge of the hole.

Since the length of fission fragment track in Makrofol is about \(20 \mu \mathrm{~m}\), films up to \(15 \mu \mathrm{~m}\) can be easily used provided all the fragments enter normal to the surface. In situations where fission fragements may enter the film at any angle, the detection efficiency
decreases with increasing film thickness. They have obtained reliable results from films \(3.5 \mu \mathrm{~m}\) thick, but because of difficulties of handling the thinnest films, they have chosen \(8 \mu \mathrm{~m}\) films for routine use as a fission detector.

It was found that the gap should be \(15-20 \mu \mathrm{~m}\) and the potential \(1500-200 \mathrm{~V}\). These conditions give spark rates of \(10-100\) per second in air, depending also upon humidity. When a fairly sharp tip is used, the effective field is localized to less than \(1 \mathrm{~mm}^{2}\) and track densities up to \(\approx 50\) per \(\mathrm{cm}^{2}\) can be measured reliably.
(b) A spark counting system has been developed by Congel et al for counting etched holes in thin dielectric plastics. They exposed Kimfol \(10 \mu \mathrm{~m}\) thick to fission fragments resulting from slow neutrons capture by \({ }^{235} \mathrm{U}\). The etched film is placed between two metalic conductors. One of the conductors must consist of an insulating material with a thin metalic coating on one side. For this study, aluminium coated myler was chosen. When a voltage is placed between the two conductors spark discharges will occur at the site of the etched holes. Heat from the spark will cause the aluminium to be evaporated at the point of discharge, thus exposing the insulator and preventing additional discharges through the same hole. Discharges continue until all holes are counted at which time no more discharges can take place. The number of sparks which corresponds to the number of etched holes is determined by an electronic network and a single channel analyzer.

The efficiency of the system is about \(80 \%\) and it is useful in investigations such as environmental studies where the track densities less than 100 tracks \(/ \mathrm{cm}^{2}\) are encountered and accuracies of \(10 \%\) are acceptable.

An improved method for locating charged particle tracks in thin plastic sheets was developed by Geisler and Phillips \({ }^{(69)}\) in Washington University. They employed short high voltage pulses rather than the steady voltages used previously. This method is applicable to plastic sheets of larger area and of thickness down to \(3.5 \mu \mathrm{~m}\). The background is low and the efficiency greater than 85\%.

Becker and Razek \({ }^{(30)}\) have shown that not only fission-fragment and alpha-particle tracks, but also heavy-recoil-particle tracks which are produced by direct fast-neutron interaction with organic foil (or foil cover) constituents can be counted automatically with the spark-counting technique. They used a commercially available thin cellulose-nitrate foils, the strippable red-dyed LR115, \(8 \mu \mathrm{~m}\) thick, supplied by Kodak-Pathe Vincennes, France. They tested numerous radiator cover materials for the foils, including beryllium oxide, graphite, aluminium, polyethylene and Teflon, in order to establish maximum intensity. The highest sensitivity was consistently observed with Teflon covers for various polymers and neutron energies. This indicates that it is not the recoil proton tracks that are sparked, but the tracks of heavier recoil particles. They reported the reproducibility of such studies is limited, more than in fissionfragment or alpha particle detection, by small fluctuations in foil thickness and/or sensitivity, the excretion of red dyestuff particles on etched LR115 foils, and variations of etching conditions. Day-to-day reproducibilities of about \(\pm 10 \%\) have been obtained under
carefully controlled conditions.

\subsection*{3.5.4 Automatic scanners}

Several efforts to build automatic scanners have been reported so far. Most of these were specially built for nuclear track counting in emulsions.

An automatic scanning system for solid-state fission-track recorders was developed by 0osterkamp and Schaar \({ }^{(71)}\) at Kar1sruhe. They used a television camera as a scanning device and a PDP-124 computer to analyze the data.

Gold and Cohn \({ }^{\text {(72) }}\) developed an optical microscope having computer control of specimen motion in three dimensions, via stepping motors, and used for automatic scanning of solid-state nuc1ear track recorders. This computer-controlled microscope, which is called the automatic track scanner (ATS), affords the capability of full on-line computer contro1, thereby lending to improved precision, reliability and accuracy. The ATS system is the first to possess automatic focusing capability.

Image analysing computers make automatic assessments of selected features in photographs or in electron, X-ray or optical images, by recognising and isolating such features and then counting, measuring and classifying them. They do this much more quickly, accurately and reproducibly, than human operators and they have made valuable but previously impossible tasks in research and quality control both feasible and economic. Imanco \({ }^{(73)}\) pioneered the development of image analysing computers with introduction of the

Quantimet A in 1963. The Quantimet B followed two years later. In 1970, the Quantimet 720 series was introduced. The Quantimet 720 is an advanced series of image analysis systems, each built on a modular design allowing the easy addition of many extra modules to an entirely compatible basic system. The 720 offers a choice between radically new, low noise, high uniformity image scanners designed specifically for precision image analysis. It divides an image into the maximum number of discrete picture points so giving optimal sampling and statistical accuracy. Fig. 3.1 is a simplified block diagram of the 720 .

The Leitz-Texture-Analysing-System (Leitz-T.A.S.) \({ }^{(74)}\) is the latest product of the extraordinary fast improvements and developments of the instruments for quantitative image analysis during the last few years. When the first electronic image analyzers appeared on the market, all the classical procedures of the linear analysis were used, and only automatically controlled. With the Leitz-Texture-Analysing-System (Leitz-T.A.S.) a new generation of image analyzers has been created, that make it possible to analyse images with two dimensional scanning elements. The basis is an analysing concept which takes into account the practical wotk as well as the theoretical logical foundations and delivers new analytical procedures (for instance the generalization of the size concept.)


Fig. 3.1 Block diagram of Quantimet 720

\section*{4. EXPERIMENTAL RESULTS OF TRACK DETECTION}

In order to obtain track recorders to meet all requirements for track counting, and to establish an accurate and reproducible fission track counting technique, a set of experiments was carried out on the NISUS facility. The aim of the measurements was to provide SSTR with satisfactory track density, low background, high contrast, and uniform features. In these experiments the track recorders were irradiated in intimate contact with the fissile materials for different irradiation times and reactor powers to give the track densities from about \(1.3 \times 10^{3}\) track \(/ \mathrm{cm}^{2}\) to about \(6.6 \times 10^{4} \mathrm{track} / \mathrm{cm}^{2}\). The lower limit arises since the track density becomes too low for accurate measurements, while the upper limit comes from the practical limit of the overlapping problem. This wide range of track densities was chosen to permit the study of the performance and accuracy of the Quantimet 720 in comparison with eye counting, as well as to choose the right irradiation and etching conditions to get reproducible results.

\subsection*{4.1 Description of the NISUS facility}

The original NISUS assembly (Ref. No. NISUS 1) consists of two concentric spherical shells, the outer driver shell of natural uranium and the inner shell of boron carbide ( \(\mathrm{B}_{4} \mathrm{C}\) ). The shells are supported in the centre of a spherical cavity of 50 cm hollowed out of a 60 cm cube of graphite. The shells' support is manufactured from aluminium and its height can be adjusted using aluminium spacers.

The graphite block is mounted in an extension of a thermal column of the reactor. The assembly can be effectively shut off from the reactor by a remote controlled cadmium within a closed/open operation time of 46 seconds. The shutter, of total area \(122 \times 122 \mathrm{~cm}\), has two parts moveable apart horizontally. Each part is constructed of 1 mm thick cadmium sheet sandwiched between two 3 mm sheets of aluminium. The neutron detectors are mounted on a graphite plug and can be loaded into the central cavity via an access hole of diameter 85.5 mm on the central axis of the thermal column extension. The composite plug consists of a removable piece of boron carbide shell 17 mm thick, connected to a uranium part of 80 mm long. The diameter of the boron carbide and the uranium parts is 45.75 mm matching the diameter of a hole in the shells to within \(\pm .05 \mathrm{~mm}\), so that when the plug is fully loaded, the NISUS sphere is complete. The uranium part of the plug is connected to a 990 mm long graphite plug by an aluminium stem. Figure 4.1A shows the cross-sectional side of the NISUS facility with the graphite plug in the full "in" position and the SSTR foil holder secured. to its extremity.

The construction of the NISUS assembly allows the installation of concentric spherical shells of different thicknesses so that it is possible to generate spectra with a different degree of hardness. There are available in total eight natural uranium, two boron carbide, and one iron shell which can be accommodated in the assembly in different combinations. The details of these shells are given in Table 4.1. The measurements reported here all carried out in the so-called NISUS lb assembly (Table 4.2).
1. Movable Graphite Plug
2. Graphite Stack
3. Spherical Cavity Block
4. Outer Cavity
5. Inner Cavity
o. Specimen Holder for Solid-State Track Recorder
7. Aluminium Support
S. Netural Uranium Shell
9. Boron Carbide Shell
10. Cadmium Shutter

\section*{Grashite Thermal Column} Extension
s=ale:~1/19


Fig. 4.1A Cross sectional side of the NISUS facility.

TABLE 4.1
Details of the NISUS shells
\begin{tabular}{|c|c|c|c|c|c|}
\hline Material & Ref. No. & \[
\begin{aligned}
& \text { I.D. } \\
& (\mathrm{mm})
\end{aligned}
\] & \[
\begin{gathered}
\text { O.D. } \\
(\mathrm{mm})
\end{gathered}
\] & Hole diameter (mm) & Comment \\
\hline \[
\begin{gathered}
\text { Nat. U } \\
\text { " } \\
\text { " } \\
\text { " } \\
" \\
" \\
" \\
"
\end{gathered}
\] & \[
\begin{aligned}
& 1 \\
& 2 \\
& 3 \\
& 4 \\
& 5 \\
& 6 \\
& 7 \\
& 8
\end{aligned}
\] & \[
\begin{aligned}
& 116.84 \\
& 157.48 \\
& 198.12 \\
& 238.76 \\
& 254.0 \\
& 269.24 \\
& 284.48 \\
& 299.72
\end{aligned}
\] & \[
\begin{aligned}
& 157.48 \\
& 198.12 \\
& 238.76 \\
& 254.0 \\
& 269.24 \\
& 284.48 \\
& 299.72 \\
& 314.96
\end{aligned}
\] & 45.75 & AWRE she11
"
"
"
"
"
"
" \\
\hline \[
\begin{gathered}
\mathrm{B}_{4} \mathrm{C}^{*} \\
\mathrm{~B}_{4} \mathrm{C}^{*}
\end{gathered}
\] & \[
\begin{aligned}
& \mathrm{B}_{4} \mathrm{Cl} \\
& \mathrm{~B}_{4} \mathrm{C} 2
\end{aligned}
\] & \(110 \pm 0.1\)
(Nom.)
\(123.4 \pm 0.1\)
(Nom.) & \[
\begin{gathered}
144 \pm 0.1 \\
\text { (Nom.) } \\
157.4 \pm 0.1 \\
\text { (Nom.) }
\end{gathered}
\] & ```
        1 7
        (Nom.)
    45.75\pm0.05
straight hole
    or
    55.0\pm0.05
stepped hole
``` & \begin{tabular}{l}
Belgian she11
\[
\rho=1.499 \mathrm{gm} / \mathrm{cm}^{3}
\] \\
American shell
\[
\rho=1.58 \quad \mathrm{gm} / \mathrm{cm}^{3}
\]
\end{tabular} \\
\hline Fe & Fel & 127.0 & 228.6 & 45.65 & AWRE shell \\
\hline
\end{tabular}

Note: \(\quad\) Dimensions given for 1 mm Al cladding

\section*{TABLE 4.2}

NISUS assemb1ies
\begin{tabular}{|c|c|c|c|c|}
\hline Ref. No. & \begin{tabular}{c} 
Natural \\
uranium \\
she11s
\end{tabular} & \begin{tabular}{c} 
Natural \\
uranium \\
thickness \\
mm
\end{tabular} & \begin{tabular}{c}
\(\mathrm{B}_{4} \mathrm{C}\) \\
shells
\end{tabular} & \begin{tabular}{c} 
Fe \\
shells
\end{tabular} \\
\hline NISUS 1 & \(2,3,4\) & 48.26 & \(\mathrm{~B}_{4} \mathrm{Cl}\) & - \\
NISUS 1a & \(2,3,4\) & 48.26 & - & - \\
NISUS 1b & \(2,3,4\) & 48.26 & \(\mathrm{~B}_{4} \mathrm{C} 2\) & - \\
NISUS 2a & 5,6 & 15.24 & - & - \\
NISUS 3a & 5,6 & 15.24 & - & Fe1 \\
\hline
\end{tabular}

In the present experiments two types of fissionable sources were used: the NISUS natural uranium shells (thick source) or uranium deposits (thin source).
(a) The NISUS uranium shells are in the centre of the graphite cavity on the CONSORT thermal column extension. The access to the shells is only possible by removing the heavy biological concrete sheilds and the top half of the graphite cavity block. This necessitates the reactor to be shut down for almost a whole day and consequently preventing other experiments from being carried out on the reactor. The alternative was found to make use of the uranium part of the NISUS compositeplug. As was mentioned earlier, the length of the uranium part is 80 mm , which is 32 mm longer than the uranium shell thickness in the NISUS 1 lb configuration. The extended part of the uranium plug enabled the SSTR to be irradiated in contact with a thick natural uranium source, the same as the NISUS shells, without any dismantling. However, for the fission-rate distribution measurements in the shells, the assembly had to be dismantled.
(b) The thin fissionable sources were electro-deposits of natural and depleted uranium supplied by AERE, Harwell. The deposits (23 to \(1300 \mu \mathrm{~g} / \mathrm{cm}^{2}\) thick) were on 0.1 mm thick aluminium or platinum backings of 42 mm diameter. The uranium deposits were about 20 mm in diameter and were concentric with the aluminium discs.

\subsection*{4.3 Description of the track recorders}

The present work is concerned with the use of SSTR as fission
track recorders. The investigations have been confined to the use of mica (Polaron, England) and a polycarbonate resin known as Makrofol (Bayer, Germany). Makrofol (composition \(\mathrm{G}_{6} \mathrm{H}_{14} \mathrm{O}_{3}\), density \(1.2 \mathrm{gm} / \mathrm{cc}\) ) has been found \({ }^{(12)}\) to have one of the highest efficiencies among the fission track recorders, and mica (composition \(\mathrm{KAl}_{3} \mathrm{Si}_{3} \mathrm{O}_{10}\) \((\mathrm{OH}, \mathrm{F})_{2}\), density \(\sim 2.8 \mathrm{gm} / \mathrm{cc}\) ) has also a high efficiency \({ }^{\text {(12). Two }}\) types of Makrofol were available : Makrofol E and Makrofol KG with the thicknesses of 0.40 mm and 0.025 mm respectively. Because of the flexibility and small thicknesses which are of great importance in measurements made in contact with the source, Makrofol KG was chosen in the routine experiments.

\subsection*{4.4 Etching technique}

The work on SSTR can be divided into two categories : track identification studies and count-rate studies. Although quite a lot of information about the mass, energy or range of the charged particles can be obtained by measuring the length and diameter of the tracks, the present work was confined to the use of the count rate studies. This was because the aim of the project was to use the SSTR as a tool in fission rate measurements.

Following the second alternative, the simple and more general method of chemical etching was chosen for track revealing technique. However, the electron microscopy observation, though a cumbersome technique, is the only method in track structure studies using particles of less than \(1 \mathrm{MeV} /\) nucleon.

The chemical etching is based on the principle that the rate of attack of a chemical reagent to the damaged region (track) of a track recorder is much greater than that of the bulk material, resulting in the tracks becoming visible under the optical microscope. There are several parameters involving the etching mechanism, and they will be discussed in the following paragraphs.

\subsection*{4.5 Etching parameters}

It is now evident that the registration sensitivity of SolidState Track Recorders depends not only on the type of the detector but also on the etching conditions applied. For the characterization of registration sensitivity several parameters should be taken into account. The criteria of which particles leave revealable tracks by chemical etching were described in detail in Chapter 2. The etching parameters which have important roles in the geometry of the etched tracks are: the type of etchant, concentration, etching time and temperature, and agitation during etching process.

\subsection*{4.5.1 Etching solutions}

The type of the solvent being used as etchant depends on the type of the track recorder being examined. Even with one make of SSTR different etching solutions result in appreciable different etching rates for a given etching time and temperature. The alkaline solutions (e.g. NaOH ) and acids (e.g. HF ) are normally used as etchants for minerals and glasses. While for plastics, alcoholic alkaline solutions (e.g. \(\mathrm{NaOH}+\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}\) ), oxydyzing agents (e.g. \(\mathrm{KMnO}_{4}\) ), alkaline solutions, and
sometimes a mixture of all is recommended. A comprehensive list of etching conditions is given in Appendix B.

In our experiments, the alcoholic alkaline solution was used. It was found that the ethylic alcohol has a favourable effect upon etching, which is probably due to modification of the parameters of the crystal-lattice and the polymer radicals. The etching solution was a mixture of \(15 \% \mathrm{KOH}\) and \(40 \% \mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}\) diluted with \(45 \%\) distilled (33) water. The investigations showed that here the etching times are much shorter than the etching in an aqueous alkaline solution. On the other hand the tracks are more uniform and in better contrast than those etched in a KOH solution. This is particularly desirable for automatic track counting by the Quantimet 720 , where several problems arise from non-uniformity and poor contrast (see Section 4.10). In agreement with Pretre \({ }^{(75)}\) et \(a 1\), it was found that the etching rate of the potassium hydroxide is greater than that of the sodium hydroxide.

\subsection*{4.5.2 Etchant concentrations}

The etching rate is a function of the solution concentration and it has been shown \({ }^{(76)}\) that it tends to an asymptotic value. In the case of potassium hydroxide the etching rate is almost constant above the concentration of about \(30 \%\). In some of our experiments which were carried out with alkaline solutions, the concentration of 6.25 NKOH (35\%) was chosen. The concentration of the alkaline solutions was determined using titration method. First a solution of potassium hydroxide with a concentration greater than the desired one was made. Then a given volume \(\mathrm{V}_{1}\) of this solution with unknown concentration \(\mathrm{N}_{1}\)
was coloured by a few drops of a chemical indicator, e.g. Methyl Orange. The contents of a standard hydrochloric acid ampoule diluted to 0.5 litre with distilled water yielded the solutiong with exact concentration of 2 normal, i.e. \(\mathrm{N}_{2}=2\). Then a 50 ml burette was filled with this solution. The diluted hydrochloric acid was added drop by drop to the KOH solution to turn its colour. If the volume of the added acid is \(V_{2}\), then the concentration of the KOH solution, \(N_{1}\), can be determined from the expression:
\[
\begin{equation*}
\mathrm{v}_{1} \mathrm{~N}_{1}=\mathrm{V}_{2} \mathrm{~N}_{2} \tag{4.1}
\end{equation*}
\]

Having obtained \(N_{1}\), the volume of the distilled water \(V\), which should be added to the initial KOH solution \(\mathrm{V}^{\prime}\), to get the concentration in question can be calculated from:
\[
\begin{equation*}
V^{\prime} N_{1}=N\left(V^{\prime}+V\right) \tag{4.2}
\end{equation*}
\]

This is found to be one of the most accurate mthods of making solution with certain concentration.

\subsection*{4.5.3 Saturated etchant effect}

Although the details of etching mechanism are not fully known, the effect of saturated etchant was studied in the etching rate for given etching time and temperature. Some dummy SSTR were etched to get an etched products saturated solutions. In agreement with Jowitt (77)
it was found that the effect of saturated etchant for alkaline solutions is to speed up the etching rate. Although this is contradictory with the explanation that the removing of the etched products layer makes the attack of the chemical reagent to the SSTR easier and consequently speeds up the etching rate (Section 4.6). The author observed that in the case of alcoholic alkaline solutions, the etching rate slows down by using saturated etchant. No satisfactory explanation was found for this effect which is obviously due to the behaviour of the alcohol in the etching solution.

\subsection*{4.5.4 Etching time and temperature}

The etching time depends strongly on temperature, varying from about 20 minutes at \(80^{\circ} \mathrm{C}\) to about 24 hours at \(20^{\circ} \mathrm{C}\). Although at high temperature the surface of the Makrofol SSTR is likely to be damaged, it was found that at \(60^{\circ} \mathrm{C}\) no serious surface damage occurs. The temperature of the etching solution was controlled to \(\pm 1^{\circ} \mathrm{C}\). After several experiments, etching time of 30 minutes was found to produce satisfactory results, where the tracks were clearly visible, but not large enough to cause overlap problems.

\subsection*{4.6 Agitation effect}

It is quite clear that in the developing of the ordinary photography films, agitation speeds up the appearance of the features by keeping all the time a fresh layer of the developer in contact with the film surface. This effect is also seen in chemical etching. During the etching process an etched products layer is formed on the
surface of the detector, reducing the attack effect of the etchant, and thus decreasing the etching rate. So far several types of agitations have been investigated which may be classified in the four broad modes : mechanical, interruption, ultrasonic and electrochemical.

\subsection*{4.6.1 Mechanical agitation}

In this mode a mechanical stirrer was used to keep the solution in continuous motion. A small beaker containing the SSTR and etching solution was placed on the hot plate of a magnetic stirrer, and the temperature was fixed at \(50 \pm 1^{\circ} \mathrm{C}\) using a thermometer. Then, a magnetic follower encased in PTFE immersed in the beaker and the speed adjusted about \(400 \mathrm{rev} / \mathrm{min}\). (There are 10 speeds to \(1325 \mathrm{rev} / \mathrm{min}\).\() Although the\) effect of this type of agitation was found to be very great, the procedure was not satisfactory because the plastic films were damaged due to striking either to the beaker wall or to the magnetic rod. The procedure was improved by using a test tube instead of the beaker and floating it in a conical flask of water. The magnetic follower was placed inside the flask so that its rotation could rotate the water and consequently the test tube in a continuous motion. This motion was more uniform with less damage to the SSTR than the previous procedure.

It was found that the track diameter being etched by this type of agitation are about twice those using no agitation for a given etching time and temperature. This mode of agitation was not adopted in the routine etching process due to inconsistency in the speed and fluctuation in the temperature.

A method of mechanical agitation is being used by Jowitt \({ }^{\text {(77) }}\) at Winfrith. In this method the SSTR films are held vertically between two parallel and horizontal discs. The discs are connected to a vertical rod, and the whole system is immersed in the etching solution. The rod is attached to the shaft of a motor. The motor provides a motion in the vertical direction so that the rod can go up and come down with a given frequency. The discs and the rod are made of PTFE to be resistant to attack by the etchant. The etching solution and conditions are : 6 N KOH at \(25^{\circ} \mathrm{C}\) for 18 hours. It is thought that this mode of agitation is more consistent and reproducible over several sets of samples, particularly that 9 films can be etched simultaneously.

Khan \({ }^{(76)}\) has reported a continuous mechanical brushing of the detector during the etching process with the absolutely "etched-product-layer-free" results. This method is not only cumbersome for long etching processes, but somehow impracticle if the etching process needed to be carried out at above room temperature. At high temperatures it is necessary to use a lid for the container of the etching solution to keep the concentration invaried during the process due to evaporation.

\subsection*{4.6.2 Interrupted mode}

In this method a number of small interruptions are carried out during the etching process \({ }^{(76)}\). During one small interruption, the detector is taken out, washed, cleaned and then again immersed in the etchant. It is felt that this method may not be applied for the experiments in which the data should be obtained from a set of samples.

This is because this type of interruption cannot be exactly identical over a wide range of samples.

\subsection*{4.6.3 U1trasonic}

It is thought that the best consistent method may be achieved by using an ultrasonic agitation which provides rapid and efficient cleaning of the surfaces by means of cavitation caused by bombardment with ultrasonically agitated solvent molecules. On the other hand the effect of agitation frequency in etching process can be examined and a threshold frequency which makes it possible the "etch-product-layer" to be removed may be determined.

A commercially available ultrasonic cleaning tank (Dawe Type No. 625-4126/12) was used to investigate the ultrasonic agitation effect. The most obvious advantage of the ultrasonic agitation is to increase the etching rate by removing the etched-product-layer from the surface of the film and thus reducing the etching time. It was estimated that the etching rate is increased by a factor of about 2 both for Makrofol at \(60^{\circ} \mathrm{C}\) and Mica at \(\simeq 40^{\circ} \mathrm{C}\). Both SSTR were dissolved in the etchant for 15 min. etching time. The following disadvantages of this type of the ultrasonic cleaner were observed:
(1) The tank was too big (capacity \(\simeq 24\) litres) thus it would take a long time to reach a preset constant temperature (about 3 hours for \(60^{\circ} \mathrm{C}\) ).
(2) F1uctuations in temperature were large, \(\simeq \pm 3^{\circ} \mathrm{C}\).
(3) When the tank heating system was OFF, i.e. the liquid at room temperature, u1trasonic vibrations increased the temperature, probably
due to the strong friction and kinetics of the molecules, from \(18.5^{\circ} \mathrm{C}\) (room temperature) to \(43^{\circ} \mathrm{C}\) in about 3 hours, making the term of the "room temperature" meaningless. Some typical variations are:
\begin{tabular}{cc} 
Time (min.) & Temperature \(\left({ }^{\circ} \mathrm{C}\right)\) \\
0 & 18.3 \\
50 & 25.9 \\
102 & 34.0 \\
158 & 43.0
\end{tabular}
(4) Fixed frequency, 24.5 KHz , did not allow more investigations at lower power.

\subsection*{4.6.4 Electrochemical etching}

Tommasio \({ }^{(78)}\), in 1970, proposed an elegant "electrochemical" etching method for the amplification of fission fragment and alpha particle tracks. This technique has been used by Sohrabi (79) in the study of polymers as fast neutron personnel dosimetry is more efficient than conventional etching techniques. By applying H.V. square of sinusoidal wave forms through the irradiated insulator, the current and treeing phenomena produced in the conductive paths increase the preferential chemical etching of the tracks. This type of etching makes it possible to enlarge the damage tracks at will and in some cases to increase the sensitivity of damage track registration. By this etching technique, charged particle tracks are enlarged to such a size that they can be observed by the unaided eye.

\begin{abstract}
4.6.5 Conclusion

In our experiments, because of the described inconsistencies in the agitation modes, the detectors were not interrupted in any respect, i.e. neither the detector nor the etchant was disturbed during the etching process.
\end{abstract}

\subsection*{4.7 Etching procedure}

The etching apparatus was a 50 ml pyrex beaker containing the etching solution with a polythene 1id. The pyrex was chosen because it is resistant to attack by the solution and it is readily available. There was a small hole in the lid for the thermometer, and it was necessary to lift it off every time a film was put or taken out. The use of the lid was necessary because of the heat conduction and keeping the concentration of the solution invaried during the process due to evaporation.

The beaker was suspended in a water bath with dimensions \(26 \times 34 \times 49 \mathrm{~cm}\). The water was flowing through the bath in order to keep the water level at the same height. The bath water was heated by an electric coil. The current of the coil and the subsequent heat could be adjusted by means of a variac. The scale of the variac was graduated in degrees centigrade, but since it was not accurate a thermometer was used inside the beaker solution to record the temperature. The temperature was controlled by means of a thermostat. The accuracy of the regulator was so good that the temperature recorded did not very more than \(\pm 1^{\circ} \mathrm{C}\). A perspex lid of \(34 \times 41 \mathrm{~cm}\) with six holes was made for the water bath. The holes of 5 cm diameter each were to hold the
beakers, so that six SSTR could be etched simultaneously under the exact identical conditions, in six different beakers.

Before starting the etching procedure the bath water was running for four hours to reach the constant temperature \(60^{\circ} \mathrm{C}\) and the stabilized conditions. The temperature was checked and the variac re-adjusted if necessary from time to time. After placing the beaker of the etchant solution in the water bath, it was also necessary to wait about half an hour to reach the temperature of the solution to \(60^{\circ} \mathrm{C}\). When the etching solution was potassium hydroxide, the concentration was checked periodically by the titration method and it was found that the change in concentration is within the errors.

Since only half of the 50 ml capacity of the pyrex beaker was filled up with the etchant, it was quite convenient to renew the solution after each etching process. This meant that the solution was considerably clean, and also that the concentration of the solution did not vary from time to time due to evaporation.

When the films had been etched they were removed from the etching bath and placed in a stop bath of diluted acetic acid 1\% for a few minutes to prevent further etching. Afterwards the films were washed in distilled water and then dried in a dessicator, and then mounted on glass slides under cover slips with sellotape. Table 4.3 shows the summary of the etching parameters used in the etching process.

TABLE 4.3

Summary of the etching parameters
\begin{tabular}{|c|c|}
\hline Etching parameter & Description \\
\hline Etchant &  \\
\hline & \(B=\) Potassium hydroxide \\
\hline Concentration & \(\mathrm{A}=15 \% \mathrm{KOH}+40 \% \mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}+45 \% \mathrm{H}_{2} \mathrm{O}\) \\
\hline & \(\mathrm{B}=\mathrm{KOH} 6.25 \mathrm{~N}\) \\
\hline Time & 30 minutes \\
\hline Temperature & \(60^{\circ} \mathrm{C}\) \\
\hline Saturation & Nil \\
\hline Agitation & Nil \\
\hline
\end{tabular}
4.8 Optical techniques for track observation

The chemical etch development of the particle damage trails produces permanent, three dimensional cavities or tracks. The dimensions of tracks may vary from a fraction of micron to several hundred microns depending upon the etching conditions as well as the track recorder material. The simplest and most convenient method for observation and measurement of tracks requires the use of an optical microscope. The precision with which track parameters of interest, such as track lengths, or surface openings, may be measured depends upon the optical resolution attainable as well as the ability to perform the actual measurements.

The microscopy of etched tracks has a number of unusual aspects that are generally not encountered in ordinary microscopy. The problem centres on the fact that usually the etched tracks are in the form of transparent cavities rather than opaque objects such as silver grains in the processed nuclear emulsions \({ }^{(51)}\). Some of the major difficulties encountered are as follows:
(1) The difference in the index of refraction of the track cavity and the bulk material is small.
(2) Inhomogenities and inclusions present in most SSTR cause a variation in the index of refraction of the bulk material.
(3) The heavily pitted surfaces of the etched SSTR degrade the image. (4) Track specimens may require objectives and condensers with larger working distances than available.
(5) Track cavities tend to fill up with liquids when immersion objectives are used, thus reducing track image contrast.

Track dimensions may be small, requiring the use of high numerical aperture (N.A.) objective condenser combinations. Most of these difficulties, in general, can be overcome by the use of either one or a combination of optical techniques these are described below.

\subsection*{4.8.1 Bright-field, transmitted light illumination}
(a) Dry objectives:

For many measurements, track observations, and rapid scanning of the specimens at low magnifications, dry objectives are easy and convenient to use. Dry lenses, even at moderate magnifying power, usually have long working distances. This permits the observation of steeply dipping, long tracks if tilting of the specimen is required. The photomicrographs of tracks shown in Figure 4.1 were obtained using the Leitz NPL \(\times 40\), N.A. 0.65 objective having a working distance of 0.15 mm . The photomicrographs shown in Figure 4.2 A and B were also taken using this lens. In Figure 4.2A is shown the usual appearance of a dry track; Figure 4.2 B shows the same track when the specimen is covered with a thin layer of ethyle alcohol. This technique can be used for reviewing and photomicrography of tracks in specimens with badly pitted surfaces.

The main limitation of the dry objectives is the lack of high resolution. While dry objectives are available with N.A.'s of up to 0.95 , most of the lenses with N.A.'s over about 0.60 require the use of an exact thickness cover glass. The requirement decreases their utility considerably,
(b) Immersion objectives:

There are in general two types of immersion objectives, oil or water. The immersion objectives are characteristically of higher N.A. (up to about 1.40) than the dry lenses. Consequently, they are capable of higher resolution. The use of these objectives requires procedures that are considerably more exacting than those necessary with the dry lenses. To achieve the full resolution of the objectives with N.A.'s of over 1.00 requires the use of an oil immersion condenser. However, the use of an oil immersion objective, without oiling the condenser, will still give greater resolution than that possible with the dry lenses. It is possible to overcome the problem of oil seepage into track cavities by covering the specimen with a transparent film such as cover-slip or a thin plastic film. However, it is essential to eliminate the air gap between the cover-slip and the specimen. Otherwise a numerical aperture greater than 1.00 cannot be achieved.

A decided advantage of these objectives over the dry lenses with high magnification is the generally longer working distance. In fact, one 100X objective (Leitz), developed for use with nuclear emulsions, has a working distance of up to 650 microns at a N.A. of 1.32. The depth of field of the high N.A. objectives is very small. This feature makes the oil immersion objectives less desirable for general scanning than the dry objectives. However, the immersion objectives are extremely valuable for precise measurements, particularly the measurements of the vertical ( \(Z\) ) dimensions. In Figure 4.3 is shown a photomicrograph of fission fragment tracks. The photograph was made using Leitz NPL Plano 100X N.A. 1.30 oil immersion objective in combination with an oiled condenser.

Photomicrographs of fission fragment tracks in Makrofol KG


Fig. 4.1 Bright field, transmitted light
illumination; 400 X


Fig. 4.2 In (A) is shown a specimen with a moderately pitted surface. In (B) is shown the same frame when the specimen is covered with a layer of ethyl alcohol.

\subsection*{4.8.2 Phase contrast imcroscopy}

For observation of small, low contrast tracks, such as shallow etch pits and recoil particle tracks, phase contrast microscopy can be effectively utilized (see Figures 4.4 A and B ). It is particularly useful: for the observation of long narrow tracks where the terminal ends of tracks are invisible under bright field illumination. However, if the track contrast is adequate for the standard bright field optics, the phase contrast image is less satisfactory. For the larger tracks with appreciable dip angles, a "halo" surrounds the image (see Figure 4.4B).

\subsection*{4.8.3. Interference contrast microscopy}

The use of an interference contrast equipment has improved the contrast of the transparent structures in comparison to the conventional black-and-white image obtained in the bright-fieldmicroscopy. This new technique shows several advantages for nuclear track counting : a brilliant relif image of etch pits, a good discrimination of the etch pits to the background, the possibility to improve the contrast by changing the colour of the image. The kind of colour and the contrast between the etch pits and the surface of the detector may be changed individually and adapted favourably to the corresponding detector surface. Therefore the interference contrast equipment facilitates direct counting of etch pits in the microscopy and is even advantageous for automatic track counting.

The interference contrast device used in the ORTHOPLAN Leitz (80) microscope is based on the principle of two beam interference. In contrast to the two beam interference arrangements according to Mach/Zehnder


Fig. 4.4 Photomicrographs of fission fragment tracks in Makrofol KG with a phase contrast objective; 400 X . (A) small tracks (B) large tracks with "halo"
and Jamin/Lebedeff, where the lateral separation between sample and interference beam is larger than or at least the same as the object size (total image separation), in the present device the beam separation has been chosen a little smaller than the resolving power of the objectives used in the microscope (differential image separation).

The spilling and recombination of the beams is carried out with optical crystal aids, according to the arrangement of Wollaston prisms in the front and rear focal plane of condenser and object. Figure 4.5 is a diagrammatic representation of the optical design of the interference contrast device. Here a linear polarized beam is split by means of a birefringent quartz prism ("Wollaston" prism, auxiliary prism) in the focal plane of the condenser into two mutually prependicular polarized light wave components. After passing through the transparent object, both the light wave components are combined in a second prism (main prism) in the focal plane of the objective and are tuned parallel in an analyzer so that the light can now interfere.

The \(\lambda / 4\) plate situated below the Wollaston prism \(W_{1}\) acts as a phase - changing compensator in conjunction with the rotating polarizer \(P\). By means of the \(\lambda\)-plate, which can also be inserted in the beam path, the brightness and colour differences between the background and the object can be varied. The interference contrast depends on the interference of two mutually perpendicular polarized light waves which suffered a phase shift in the object as well as in the birefringent quartz prism. Path differences arise between the ordinary and extraordinary waves in the following way :
(1) Light waves undergo path differences by a local variation of the

\(\mathrm{K}=\) condenser
\(\mathrm{W}_{1}=\) Wollaston prism
\(\lambda=\lambda\) plate
\(\lambda / 4=\lambda / 4\) plate
\(\mathrm{P}=\) polarizer

Fig. 4.5 Optical diagram of the interference contrast device.
thickness or by variations of the optical refraction index at the profiles and structures of the object.
(2) Shifting of the main prism from the centre perpendicular to the direction of the incident light, a path difference arises from small differences in the refraction index of both the waves in case that there are optical path differences in front or behind the central areas of the prism. Using monochromatic light, this fact leads to a contrast image of the object (brightness interference), using white light it leads to a coloured illumination of the object and the image background (colour interference). Fig. 4.6 shows the photomicrographs of fission fragment tracks in Makrofol taken with colour interference.

\subsection*{4.8.4 Incident light illumination}

For track observation in specimens that are very thick ( \({ }^{>} 2 \mathrm{~mm}\) ) or specimens containing inhomogenics or inclusions, the use of the incident light optics was found to be useful. Usually the resolution is somewhat inferior to the transmitted light systems. Because of image degradation, observations are restricted to the depth of less than about 50 microns into the volume of the specimen. With long working distances and dip cones available incident light techniques can be used for observation of tracks in specimens that are still immersed in the etching solution contained in opaque etching tanks. Fig. 4.7 shows fission tracks in mica obtained by incident light illumination.



Eig. 4.6 Photomicrographs of fission fragment tracks in Makrofol KG taken with an interference contrast objective; 400 X


Fig. 4.7 Photomicrographs of fission fragment tracks in mica taken with incident light illumination; (A) 200 X (B) 50 X


A graticule consisting of a square divided into 25 smaller squares was incorporated into eyepiece. The calibration was made under the overall magnification of 400 X using the Leitz stage micrometer with graduation \(1 \mathrm{~mm}=100\) intervals. The length of the graticule was found to be 0.292 mm by one observer and 0.294 mm by another. This means that a systematic error of \(\pm 2 \%\) is
attributable to the calibration of the graticule area. The microscope mechanical stage was designed so that the measurement could be made over slides measuring \(80 \mathrm{~mm} \times 60 \mathrm{~mm}\). The stage had motions at right angles to one another, each being provided by a micrometer screw with a vernier of 0.1 mm .

In the method of the counting the tracks the frame of the graticule consisting of 25 squares was chosen. Then the microscope stage was moved across a number of parallel chords of the S S T R films in discrete steps and at each position all the tracks bounded by the frame were counted from the top of frame to bottom. Tracks crossing the frame line at the tope and to the left were counted while those to the right and at the bottom were ignored. Thus if the stage is moved a distance at least equal to the width of the frame then no double counting of track will occur and a proper statistical estimate of the track density can be made. Therefore, the whole area of the S S T R was nearly scanned by moving the stage in 0.50 mm steps. The scanning of the whole area exactly may be achieved by moving the stage such that a spot or track on one boundary of the frame in the field of view was moved the opposite boundary. The effect of any radial variations in the source thickness can be nullified using this method. The focus of the microscope and the colour of the interference contrast, if applicable, were checked and re-adjusted after every field of view. This was necessary because . the high magnification entailed a very small depth of focus. Approximately between 1000 and 10000 tracks were counted on each film (depending on track density), in order to obtain good statistical accuracy. When
counting by eye, the background was negligible as one could easily differentiate between tracks and some of the extraneous marks on the film.

\section*{The Quantimet 720}

The automatic image analysis has been a subject of much interest for the past 20 years and a number of different systems and instruments have appeared. Early instruments were applied to biological problems of cell counting and discrimination, but the methods and techniques were soon extended and applied to particle measuring. The technology advanced rapidly and a number of special instruments were developed.

Image analysis is defined as the science of extracting quantitative data - numerical, geometrical and densitometric - from images. The images can be of microscopic or macroscopic objects, or photographs, as produced by optical or electron microscopes, or by any other imaging system. The parameters most frequently required from a sample in materials testing applications are the area of various phases or inclusions expressed as a percentage of total area, the number of preselected type of features per unit area and the size distributions of features. Image analysing computers can now perform these measurements, and many others with higher accuracy and at far greater speed than a human operator. Fig. 4. 8 illustrates some of the direct measurements image analysing computers can make, and their results when applied to various shapes. Manual extraction of these data from microscopic and other images has hitherto been \(\%\) difficult, and results are prone to


Fig 4.8 Measurement of features.
subjective error, even with trained operators.
There are three main performance criteria for image analysis : speed in picture points surveyed per second, resolution expressed in terms of number of picture points measured in the field of view and discrimination expressed as the number of detectable grey levels. All the image analyzer instruments produce and process an electrical analog representation of the image, i.e. a voltage or current which varies with time, in synchronism with the scanning of the sample and with a magnitude which is determined by the optical density or reflectivity of the features in the sample.

The first commercially available television based instrument was the Quantimet A manufactured by Metals Research Limited \({ }^{(73)}\) in 1963. It was superseded by the Quantimet \(B\) in 1965. These instruments were designed with a specific application in mind, the measurement of non-metalic inclusions and grain size in steel. The Quantimet B achieved the first commercial success for an image analysing instrument, many of them for applications other than those its original design specification called for, in both materials science and the life sciences. The recently introduced Quantimet 720 incorporates a number of very significant technical advances. It divides the image into a matrix of \(6.5 \times 10^{5}\) discrete picture points and uses a special purpose high speed digital computer to process the image. This digitisation, in addition to providing much greater accuracy than that attainable on the earlier analog instruments, allows a considerable increase in the scope of the computation which the instrument can perform, so opening up applications which were logically too difficult for the earlier
analog technology. Signals from the required features are isolated from the rest of the image by a process called "detection" which relies on the application of various grey level criteria. The simplest criteria are: all parts lighter or darker than a preset threshold, or that part between two selected grey levels. The detected signal is then fed into a computer module which makes the required measurement, for example the number of detected features, their area or the number above or below a certain size. Fig. 4.9 shows the block diagram of the Quantimet 720 system.

\subsection*{4.10.1 Performance}

The Quantimet 720 was used in conjunction with an optical microscope with an automatic specimen handling. The X Y traverse stage of the microscope can be operated manually or automatically, by means of the Stage X Y control module. The automatic traverse is not continuous as in a conventional microscope stage, but moves in discrete steps corresponding to the stepping motor drive increments. Over the traversed area of \(50 \times 50 \mathrm{~mm}\) the flatness is better than \(\pm 6\) microns. The Stage \(X Y\) Control Module gives seven different sizes of step ( \(0.08,0.16,0.31,0.62,1.2\) and 5.0 mm ) in the \(X\) and Y directions. The values in X and Y can be set independently. They are very repeatable and there are no lost steps. Built-in protection against over travel is provided. A maximum number of 999 X steps may be called up; the number of \(Y\) steps is controlled by the total number of fields required to be measured. The important disadvantage of the control module is that the stage, after scanning several fields of view,

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a specimen
is imaged by
a Microscope (with optional automatic specimen handling)
or an Epidiascope
or a 35 mm Film Projector which projects the image on 10 .
the 720 Vidicon or Plumbicon Image Scanner whose output - or that from a self scan system - is passed to
a 720 Detector which selects the features to be measured and passes pulses from these to
a 720 Amender which allows modification or 'amendment' of detected signals before they are passed on to
a 720 Computer which measures the number, area. and length of the features selected and classifies them by area. length and shape
a 720 Display shows the features being measured. provides special computer displays and presents accumulating digital displays of measured parameters
alternatively or additionally results can be passed to one of the several 720 Data Processing Systems
(e.g. teletype. desk top computer, etc).
or to a 720 Supervisor module
the entire process can be automatically controlled by a 720 Programmer or can be manually controlled by switches.


Fig. 4.9 The Quantimet 720 system.
cannot be returned to the origin, thus making impossible the scanning reproducibility over exactly the same area of the specimen. This is particularly desirable in the study of the variation of the detected features (e.g. number of tracks) with the detection parameters (e.g. detection threshold), where the inherent statistical limitations require the observation of large numbers of tracks for adequate precision. It is, however, possible to repeat scanning in \(X\) direction only by setting the Y value to zero. This mode, of course, is restricted to a few tens fields of view which may not be sufficient for the samples with low track density due to poor statistics. Automatic stepping may be performed either by means of the Step Button (or Foot Switch in parallel) on the Stage X Y Control Module, or, fully automated under the control of the Programmer.

The factors affecting the performance of the Quantimet 720 in track counting can be divided into three groups, optical, electronic and statistical.
(a) Optics

The optical performance depends mainly on the focusing system and the flatness of specimen. The use of high quality lenses on the microscope will allow smaller features to be viewed reliably at high magnification, but this introduces two more limitations. Firstly the higher the magnification the smaller the depth of focus and therefore the more difficult it is to mount the specimen so that it does not move out of focus as the stage traverses. Frequent re-focusing slows down the work rate severely. The more important objection to the use of high magnification is the severely restricted field of view
which means that much more time has to be spent to cover a given area of sample.

The automatic Focus module, which will operate with incident or transmitted light specimens, provides a self focusing facility for use with the Automatic Stage. Although the precision stage is flat to within \(\pm 6\) microns over a traverse of 50 mm , it may not always be possible for the operator to level his samples to this accuracy. There may be inherent difficulties with particular samples which may be accentuated when operating with a high magnification. The Automatic Focus takes a few seconds to go through its routine, and the operator can set the module to operate on every field or on every 3rd, 7th or 15 th field of view, whichever is most appropriate. It was found that using Automatic Focus does not speed up the scanning rate very much, when the automatic stage movement is controlled by Foot Switch. This semi-automatic operation was necessary because some of the fields of view had to be rejected due to track pileup, or imperfections on the film. So, it was decided to use the manual focus operation instead, although to check every field of view considerably slows down the 720 .

\section*{(b) Electronic}

The electronic performance depends on the uniformity, sensitivity, noise, and resolution of the scanner. The Quantimet B - the \(720^{\prime}\) s precursor - used a television camera but experience demonstrated that better performance could be achieved by using special purpose scanners \({ }^{(81)}\). The 720 scan is digitally controlled so that every scan line and even
every picture point is identical in length and precisely positioned. The scan standard of 720 lines scanned sequentially 10.5 times/sec has been chosen to give equal resolution in both directions, along and across, and the best possible compromise between noise, resolution and speed.

The scanner must have the same sensitivity at all points of the scan so that a uniformly illuminated image produces a uniform video output. The new 720 scanners have been specially designed with this requirement in mind and can achieve as little as six per cent sensitivity variation over an image containing one half million picture points - almost the whole image. Unfortunately, the scanner is not the only source of non-uniformity; it can also arise from the imaging system, the illumination system, and even the specimen. It has been reported \({ }^{(81)}\) that the 720 fully automatic correction system can compensate for all sensitivity and illumination variations, possibly down to as little as one per cent.

All video systems generate electrical noise in the form of small random variations in the output signal. To overcome this, one uses an averaging arrangement designed so that the 720 can be required to average the results over 16 scans to reduce the random noise components. Of course, this facility slows the instrument by a factor of 16 , so it is only used when the operator needs all possible accuracy and repeatability.

The Quantimet 720 has a resolution of 720 vertical lines each containing 910 resolvable picture elements to give a total resolution of 655200 picture points. It is important to realise that the term
resolution does not mean absolute resolving power, but simply the number of resolvable picture elements in the scanned image. The absolute resolving power can be altered by changing the magnification up to the limits of light or electron microscopy, but the number of resolvable elements per image is of fundamental importance and a major limit to the applications of any image analysing computer. The scanner resolution should be equal in horizontal and vertical directions, so that if an anisotropic image is presented to the scanner at different orientations, it will be examined with a consistent resolving power so as to detect identically in the different directions, and therefore 720 scanners have been designed to give equal resolution in both directions.

\section*{(c) Statistics}

The statistical accuracy is determined by the number of tracks per field of view, which depends on the overall magnification, which in turn depends on the physical size of the specimen. Scanning a large area of the specimen is not only time consuming, but in some cases impractical. It was found that with the objective 10 X and the specimen 15 mm diameter the max. possible number of frames that can be scanned is about 550. It is, of course, obvious that some of the fields of view must be rejected because of background contributions due to scratches and other surface imperfections which vary from sample to sample. It was found that for typical samples as many as 100 fields of view may have to be rejected. Track pile-up or overlap determines the maximum track density which can be used and therefore the statistics. In order
to get statistical accuracy better than \(2.5 \%\), the average number of tracks per field of view with objective 10 X and the overall magnification of 423 , should not be less than 4 , i.e. about 1600 tracks \(/ \mathrm{cm}^{2}\), and to avoid excessive overlap not more than 125 , i.e. \(5 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\).

\subsection*{4.10.2 Calibration}

An important new concept introduced in the 720 is the use of two separate image limiting frames. The first and the largest is called the "Blank Frame" and the detection process is disabled outside this rectangle so as to avoid detecting over the edge of the picture. If
(picture point) necessary, it can be set to any size in 1 p.p. digital increment so as to limit the field of operation to gain better uniformity or perhaps to fit in with matrix parameters of the specimen. Inside this is the second smaller frame, the "Live Frame", inside which measurements are made. This too is fully variable in \(1 \mathrm{p} . \mathrm{p}\). increments. The region between the two frames is called the guard region. Tracks crossing the guard frame line at the top and to the left are counted while those to the right and at the bottom are ignored.

According to the figures supplied by the manufacturer (Table 4.4) and eyppiese \(8 x\). the field of view is \(0.54 \times 0.42 \mathrm{~mm}\) with objective lox To check this figure, a calibration was made using the Leitz \(10 \mu \mathrm{~m}\) stage micrometer, and it was found that there are 142 picture points per \(100 \mu \mathrm{~m}\), resulting in \(0.563 \times 0.440 \mathrm{~mm}\) field of view which is \(9 \%\) greater in area than the manufacturer's figure, probably due to drifting over a year of operation.

Quantimet microscope calibration transmitted light
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \multirow{2}{*}{ Eye-piece } & \multicolumn{2}{|c|}{X 5} & \multicolumn{2}{|c|}{X 6.3} & \multicolumn{2}{c|}{X} \\
\cline { 2 - 7 } & Objective & \(\mathrm{p} \cdot \mathrm{p} / 100 \mu\) & \(\mu / 100 \mathrm{p} \cdot \mathrm{p}\) & \(\mathrm{p} \cdot \mathrm{p} / 100 \mu\) & \(\mu / 100 \mathrm{p} \cdot \mathrm{p}\) & \(\mathrm{p} \cdot \mathrm{p} / 100 \mu\) \\
\hline 1 & 9.87 & 1013 & 12.4 & 806.5 & 15.9 & 628.9 \\
\hline 2.5 & 24.5 & 408.2 & 30.9 & 323.6 & 39 & 256.4 \\
4 & 39 & 256.4 & 50 & 200.0 & 63 & 158.7 \\
10 & 92 & 108.7 & 116 & 86.21 & 148 & 67.57 \\
25 & 226 & 44.25 & 285 & 35.09 & 362 & 27.62 \\
40 & 360 & 27.78 & 453 & 22.08 & 575 & 17.39 \\
\hline
\end{tabular}

\section*{TABLE 4.4 (continued)}

Quantimet microscope calibration transmitted light
Field of view (mm)
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|}
\hline 1 & 8.11 & x & 6.33 & 6.45 & x & 5.04 & 5.03 & x & 3.93 \\
\hline 2.5 & 3.27 & x & 2.55 & 2.59 & x & 2.02 & 2.06 & x & 1.62 \\
\hline 4 & 2.06 & x & 1.62 & 1.60 & x & 1.26 & 1.27 & x & 1.00 \\
\hline 10 & 0.87 & x & 0.68 & 0.69 & x & 0.54 & 0.54 & x & 0.42 \\
\hline 25 & 0.35 & x & 0.28 & 0.28 & x & 0.22 & 0.22 & x & 0.17 \\
\hline 40 & 0.22 & x & 0.17 & 0.18 & x & 0.14 & 0.16 & x & 0.11 \\
\hline
\end{tabular}

Magnification
\begin{tabular}{|c|c|c|c|}
\hline 1 & 28 & 35 & 45 \\
2.5 & 70 & 88 & 111 \\
4 & 111 & 143 & 180 \\
10 & 262 & 330 & 423 \\
25 & 645 & 1290 & 1030 \\
\hline
\end{tabular}

\subsection*{4.10.3 Gray level threshold setting}

The most convenient and straightforward way to set the threshold is by direct detection. The threshold is turned up until the desired features appear to be fully detected but the background remained undetected. This method is attractive because of the simplicity, but the results have been found to be unreliable. Since there is no obvious criterion, different operators will set different thresholds for one field of view, and it is not possible for one person to be consistent over a period of time. It has been found that there is an appreciable variation in track counting for the same field detected at different threshold settings. It is sometimes difficult to say which one is correct.

Another method put forward for accurate threshold setting is the "flicker" method. Instead of viewing the meter output (the detection) super-imposed on the image and trying to match them in this condition they can be viewed separately and alternately by switching the display control to and fro from "image" to "meter". If the polarity switch is turned to "white" the super-imposed meter image appears black on a white ground instead of the normal white on black, and this avoids the optically difficult task of comparing a white image with a black one. While switching to and fro the threshold control is adjusted until the tracks appear identical in the two fields.

The most accurate and reproducible threshold setting is
illustrated by plotting the threshold setting against some parameter measured by the Quantimet, say number of tracks. It is more accurate to consider the total number of tracks in several successive fields
corresponding to one value for threshold setting, and counting the of threshold, same fields for another value and so on. The ideal curve would show that as the threshold setting is increased, no feature is detected. Beyond a certain value all feature are detected and the number of tracks remains constant as the threshold setting increases until the background is detected at higher threshold. This behaviour is not obtained in practice because the features are not uniform, due to diffraction effects, internal structure, uneven illumination and scanner sensitivity. Thus the ideal step shape is rounded off into a curve, the best setting being at the middle of the plateau. Table 4.5 shows the results of the two S S T R irradiated in contact with the NISUS uranium shell (thick source) and \(0.5 \mathrm{mg} / \mathrm{cm}^{2}\) depleted uranium deposit (thin source) at 10 kW for \(2 \min\) and 100 kW for 150 min , respectively. The threshold detection curves for these two films are shown in Fig. 4.10.

\subsection*{4.10.4 Size setting}

The size setting, a new concept introduced in the Quantimet 720, discriminates against features with a longest chord less than a value chosen in discrete steps in picture points (p.p.). This capability has improved precision, reliability and accuracy of the results compared with those of its predecessor - Quanitmet B. The effect of size setting - the longest chord of the features - is much more important than the threshold setting in detection operation. However, the threshold variation is continuous, in the form of a selector, whereas that of the size is in 1 p.p. digital increment. The ideal

Threshold setting for two films with different fissile sources and irradiation conditions
```

Film No. = 198
Source = Natural Uranium Shell
Position = NISUS Uranium Plug
Condition = 10 kW 2 min

```
\begin{tabular}{|c|c|c|c|}
\begin{tabular}{|c|c|c|}
\hline Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \begin{tabular}{c} 
Threshold \\
setting \(^{*}\)
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} \\
\hline \hline 4.0 & 464 & 7.4 & 1292 \\
4.2 & 581 & 7.6 & 1290 \\
4.4 & 751 & 7.8 & 1299 \\
4.6 & 838 & 8.0 & 1316 \\
4.8 & 990 & 8.2 & 1303 \\
5.0 & 1118 & 8.4 & 1315 \\
5.2 & 1198 & 8.6 & 1345 \\
5.4 & 1188 & 8.8 & 1455 \\
5.6 & 1213 & 9.0 & 2138 \\
5.8 & 1200 & & \\
6.0 & 1237 & & \\
6.2 & 1241 & & \\
6.4 & 1244 & 1252 & \\
6.6 & 1257 & & \\
6.8 & 1258 & & \\
7.0 & 1281 & & \\
7.2 & Size setting = \\
Note:
\end{tabular}

Film No. \(=514\)
Source \(\quad=0.5 \mathrm{mg} / \mathrm{cm}^{2}\) Depleted Uranium Deposit
Position \(=\) NISUS Thermal Column
Condition \(=100 \mathrm{~kW} 150 \mathrm{~min}\)
\begin{tabular}{|c|c|c|c|}
\hline \begin{tabular}{c} 
Threshold \\
setting \(^{*}\)
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} \\
\hline 5.0 & 708 & 6.7 & 1093 \\
5.1 & 779 & 6.8 & 1082 \\
5.2 & 807 & 6.9 & 1094 \\
5.3 & 810 & 7.0 & 1098 \\
5.4 & 886 & 7.1 & 1104 \\
5.5 & 889 & 7.2 & 1112 \\
5.6 & 941 & 7.3 & 1107 \\
5.7 & 963 & 7.4 & 1109 \\
5.8 & 971 & 7.5 & 1103 \\
5.9 & 986 & 7.6 & 1134 \\
6.0 & 1016 & 7.7 & 1127 \\
6.1 & 1027 & 7.8 & 1105 \\
6.2 & 1049 & 7.9 & 1132 \\
6.3 & 1070 & 8.0 & 1134 \\
6.4 & 1057 & 8.2 & 1108 \\
6.5 & 1064 & 8.4 & 1177 \\
6.6 & 1057 & 8.6 & 1475 \\
\hline
\end{tabular}


Fig. 4.10 Threshold setting curves for two different films.
detection conditions depend on the right settings both for the size and the threshold and varies from sample to sample. Perhaps the most significant sample-to-sample variations are (a) etching procedure, (b) background, and (c) track overlap or pile-up. The etch rate cannot be an exact constant, and changes in etching solution concentration as well as bath temperature introduce fluctuations in the etching process.

In order to find the size setting, as with the threshold setting, the total number of tracks should be plotted against the size when the threshold is kept constant at the right setting. The integral curve shows up a rough plateau, Fig. 4.11, but a more informative graph is the differential histogram which illustrates a sharp decrease in the total number of tracks and then a peak. The background component dominates in the low size region near the origin, but falls very rapidly with increasing size. As size further increases, the experimental data first rise, then attain a maximum and finally decrease monotonically. A similar and more isotropic one-dimensional frequency histogram is obtained when the number of tracks \(N(X)\) is observed as a function of track area \(X\) expressed in picture points. Analysis of these data can be formulated in terms of a differential track area distribution, denoted by \(P(X)\). Hence \(P(X) d X\) represents the probability that an observed track possesses an area between \(X\) and \(X+d X\). In order to ensure correct settings of the discriminators, measurements of differential track area probability distributions and experimental estimates of \(P(X)\) are an essential aspect of automatic fission track counting.

The variations of total count for several fields of view with size and area, for two different samples are shown in Tables 4.6 and 4.7 , respectively. Typical frequency histograms of the number of tracks as a function of track size (longest chord) and track area, for two different samples, are given in Figs. 4.12 to 4.15. One of the samples (Film No. 175) was irradiated with normal incidence in an evacuated small cylinder in the CONSORT vertical thermal column at 100 kW for 7 hours. The fissile source was \(1.30 \mathrm{mg} / \mathrm{cm}^{2}\) natural uranium deposit, and the source and S S TR were 10 cm apart.

Since the fission tracks are randomly orientated with different sizes, and the size setting indicates the longest chord of the features, it is expected to get better differential histogram for the samples with normal incidence, in which the track sizes are more uniform. The results shown in Figs. 4.12 and 4.14 are not as good as those of the samples irradiated in contact with uranium deposit (Film No. 206). One factor which may explain the apparently worse background in the case of Film 175 is the lower geometrical efficiency for detection in this case. Because of this a much higher neutron fluence was needed to provide adequate statistics, and therefore the likelihood of background effects due to processes other than fission was increased. These processes are not fully understood at the present time. The other two factors affecting the results of the normal incident film are the contrast and the statistics. It was found that the larger the tracks the worse the contrast, and the more difficult it is to have the right threshold setting. At low threshold,

\section*{TABLE 4.6}

Size setting for two films with different fissile sources and irradiation conditions
```

Film No. = 175
Source = Natural Uranium Deposit (Normal Incident)
Position = CONSORT Vertical Thermal Column
Condition = 100 kW 7 hours

```
\begin{tabular}{|c|c|c|c|c|c|}
\hline \begin{tabular}{c} 
Size \\
setting \\
(P.P.)
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \(\Delta \mathrm{C}\) & \begin{tabular}{c} 
Size \\
setting \\
(P.P.)
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \(\Delta \mathrm{C}\) \\
\hline 0 & 3360 & - & 16 & 460 & 42 \\
1 & 2758 & 602 & 17 & 406 & 54 \\
2 & 2459 & 299 & 18 & 345 & 61 \\
3 & 2226 & 233 & 19 & 295 & 50 \\
4 & 1777 & 449 & 20 & 217 & 78 \\
5 & 1311 & 466 & 21 & 157 & 60 \\
6 & 1054 & 257 & 22 & 119 & 38 \\
7 & 817 & 237 & 23 & 92 & 27 \\
8 & 673 & 144 & 24 & 63 & 29 \\
9 & 623 & 50 & 25 & 47 & 16 \\
10 & 599 & 24 & 26 & 36 & 11 \\
11 & 583 & 16 & 27 & 29 & 7 \\
12 & 571 & 12 & 28 & 21 & 8 \\
13 & 562 & 9 & 29 & 21 & 0 \\
14 & 534 & 28 & 30 & 15 & 6 \\
15 & 502 & 32 & & & \\
\hline
\end{tabular}

Note: *Threshold setting \(=8.4\)

TABLE 4.6 (continued)

Size setting for two films with different fissile sources
and irradiation conditions
\[
\begin{array}{ll}
\text { Film No. } & =206 \\
\text { Source } & =\text { Natural Uranium She11 } \\
\text { Position } & =\text { NISUS Uranium Plug } \\
\text { Condition } & =10 \mathrm{~kW} 5 \mathrm{~min}
\end{array}
\]
\begin{tabular}{|c|c|c|c|c|c|}
\hline \[
\begin{gathered}
\text { Size } \\
\text { setting } \\
\text { (P.P.) }
\end{gathered}
\] & \begin{tabular}{l}
Total count of \\
22 frames
\end{tabular} & \(\triangle \mathrm{C}\) & \[
\begin{gathered}
\text { Size } \\
\text { setting } \\
\text { (P.P.) }
\end{gathered}
\] & \begin{tabular}{l}
Total count of \\
22 frames
\end{tabular} & \(\triangle C\) \\
\hline 0 & 3833 & - & 16 & 1070 & 352 \\
\hline 1 & 3571 & 262 & 17 & 865 & 206 \\
\hline 2 & 3573 & 2 & 18 & 697 & 168 \\
\hline 3 & 3516 & 57 & 19 & 585 & 112 \\
\hline 4 & 3441 & 75 & 20 & 475 & 110 \\
\hline 5 & 3411 & 30 & 21 & 390 & 85 \\
\hline 6 & 3360 & 51 & 22 & 313 & 77 \\
\hline 7 & 3303 & 57 & 23 & 257 & 56 \\
\hline 8 & 3227 & 76 & 24 & 200 & 57 \\
\hline 9 & 3110 & 117 & 25 & 170 & 30 \\
\hline 10 & 2940 & 170 & 26 & 138 & 32 \\
\hline 11 & 2814 & 126 & 27 & 106 & 32 \\
\hline 12 & 2614 & 200 & 28 & 90 & 16 \\
\hline 13 & 2367 & 247 & 29 & 72 & 18 \\
\hline 14 & 1890 & 477 & 30 & 57 & 15 \\
\hline 15 & 1422 & 468 & & & \\
\hline
\end{tabular}

Note: *Threshold setting \(=7.1\)

TABLE 4.7

Area distribution for two films with different fissile sources and irradiation conditions

Film No. \(=175\)
Source = Natural Uranium Deposit (Normal Incident)
Position \(=\) CONSORT Vertical Thermal Column
Condition \(=100 \mathrm{~kW} 7\) hours
\begin{tabular}{|c|c|c|c|}
\hline \[
\begin{aligned}
& \text { Area }^{*} \\
& \text { (P.P.) }
\end{aligned}
\] & \begin{tabular}{l}
Total count of \\
20 frames
\end{tabular} & \[
\begin{aligned}
& \text { Area* } \\
& \text { (P.P.) }
\end{aligned}
\] & \begin{tabular}{l}
Total count of \\
20 frames
\end{tabular} \\
\hline 20 & 3241 & 300 & 56 \\
\hline 40 & 600 & 320 & 64 \\
\hline 60 & 178 & 340 & 45 \\
\hline 80 & 72 & 360 & 56 \\
\hline 100 & 52 & 380 & 39 \\
\hline 120 & 48 & 400 & 32 \\
\hline 140 & 36 & 420 & 18 \\
\hline 160 & 37 & 440 & 16 \\
\hline 180 & 40 & 460 & 14 \\
\hline 200 & 37 & 480 & 12 \\
\hline 220 & 53 & 500 & 14 \\
\hline 240 & 57 & 520 & 4 \\
\hline 260 & 58 & 540 & 6 \\
\hline 280 & 48 & 560 & 3 \\
\hline
\end{tabular}

Note: *Threshold setting \(=7.5\)

TABLE 4.7 (continued)

Area distribution for two films with different fissile sources and irradiation conditions
```

Film No. $=206$
Source $=$ Natural Uranium Shel1
Position $=$ NISUS Uranium Plug
Condition $=10 \mathrm{~kW} 5 \mathrm{~min}$

```
\begin{tabular}{|c|c|c|c|}
\hline Area*
(P.P.) & \begin{tabular}{l}
Total count of \\
20 frames
\end{tabular} & Area*
(P.P.) & \begin{tabular}{l}
Total count of \\
20 frames
\end{tabular} \\
\hline 10 & 903 & 220 & 110 \\
\hline 20 & 339 & 230 & 94 \\
\hline 30 & 167 & 240 & 94 \\
\hline 40 & 90 & 250 & 91 \\
\hline 50 & 69 & 260 & 80 \\
\hline 60 & 63 & 270 & 74 \\
\hline 70 & 70 & 280 & 47 \\
\hline 80 & 69 & 290 & 39 \\
\hline 90 & 60 & 300 & 47 \\
\hline 100 & 65 & 310 & 37 \\
\hline 110 & 79 & 320 & 38 \\
\hline 120 & 89 & 330 & 38 \\
\hline 130 & 103 & 340 & 29 \\
\hline 140 & 129 & 350 & 27 \\
\hline 150 & 149 & 360 & 29 \\
\hline 160 & 145 & 370 & 17 \\
\hline 170 & 125 & 380 & 15 \\
\hline 180 & 147 & 390 & 13 \\
\hline 190 & 143 & 400 & 12 \\
\hline 200 & 110 & 410 & 11 \\
\hline 210 & 120 & 420 & 13 \\
\hline
\end{tabular}

Note: *Threshold setting \(=7.5\)
Total count


Fig. 4.11 Integral size distribution curves for two films.


Fig. 4.13 Typical frequency histogram of the number of tracks
Total count (20 fields of view)


Fig. 4.14 Typical frequency histogram of the number of tracks as a
function of track area.

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Fig. 4.15 Typical frequency histogram of the number of tracks as a
the breaking up and the partial detection are the problems, and at the higher threshold the background detection. Partial detection of a feature is a serious and sometimes unavoidable problem in size or area distribution measurements, but, of course, not in track. counting provided tracks do not break up into several parts. The average number of tracks per field of view is about 140 for the Film No. 206, and that of the Film No. 175 is about 42, resulting in the poor statistics for the latter.

\subsection*{4.10.5 Overlap correction}

If two tracks overlap, the Quantimet counts them as one feature. Thus at high track densities, when the probability of overlap is high it is necessary to make a correction. Richmond and Rüegger \({ }^{(82)}\) have found that an accurate correction can be made using the following equation:
\[
\begin{equation*}
N=N_{0} \exp \left(-A N_{0}\right) \tag{4.3}
\end{equation*}
\]
where \(N_{0}\) is the actual track density,
N is the observed track density,
A is the average track area.
This does not, however, allow one to work with tracks of unlimited densities, for one quickly reaches a stage where there is a large uncertainty in the correction factor. The limitation is governed by \(A\), the single track area, depending on the irradiation and etching conditions.
* This formula has been consistently applied in the present work. There is however some doubt about its validity, depending on the way in which the parameter \(A\) is defined.

The overlap correction was made for the Film Nos. 175 and 206. Fig. 4.14 shows that the average track area is about 320 pp for the Film No. 175. Converting picture points into micron (Section 4.10.2) and assuming that the tracks are round, which they really are (Fig. 4.6), the average track area \(1.59 \times 10^{-6} \mathrm{~cm}^{2}\) is obtained. The actual track density can be calculated using Equ. 4.3 where \(N=17014\) tracks \(/ \mathrm{cm}^{2}\), the number of tracks counted by the Quantimet. The results show the actual track density of \(\mathrm{N}_{\mathrm{o}}=17494\) tracks/ \(\mathrm{cm}^{2}\) comparedwith 17557 tracks/cm \({ }^{2}\) counted by eye, with a discrepancy of less than \(0.4 \%\) which is fortuitously small.

A separate measurement was made to measure the average track area of the same specimen (Film No. 175) by selecting 342 random tracks in 342 fields of view, using the Light Pen module of the Quantimet. By this module the region or features of interest in the sample are detected in the usual way, irrespective of the detection of the other features, when the Light Pen is pointed at the feature of interest. The results showed that the average track area is about 350 picture points, i.e. \(1.74 \times 10^{-6} \mathrm{~cm}^{2}\), resulting in the actual track density 17541 tracks \(/ \mathrm{cm}^{2}\).

Fig. 4.15 shows that the average track area is about 180 picture points for the Film No. 206. Assuming the tracks are round (Fig. 4.1), which is not a true assumption in this case,
\[
A=8.93 \times 10^{-7} \mathrm{~cm}^{2}
\]

The actual number density obtained using Equ. 4.3 where \(N=56502\) tracks \(/ \mathrm{cm}^{2}\). Therefore, \(\mathrm{N}_{\mathrm{o}}=59590\) tracks \(/ \mathrm{cm}^{2}\) which is about \(2 \%\) less
than 60724, the eye counted number of tracks \(/ \mathrm{cm}^{2}\), perhaps because of the errors in converting the units of picture points into micron. The correction factor derived from Equ. 4.3 is plotted in Fig. 4.16 as a function of track density for an asymptotically thick source (NISUS uranium shell) and a very thin deposit ( \(\approx 23 \mu \mathrm{~g} / \mathrm{cm}^{2}\) ). The average track area for these two cases were taken as 180 pp and 280 pp (see Section 7.11) respectively. Table 4.8 shows a comparison between eye and Quantimet counting for Film Nos. 175 and 206, and the effect of overlap correction.
4.11 Data analysis and results

Experiments were made in order to test the reproducibility of the experiments and to make comparison between eye and Quantimet counting. Several sets of samples were irradiated with identical irradiation positions and etching conditions, but for different neutron fluences. In each set pairs of Makrofol S S T R were irradiated in contact with the NISUS natural uranium plug (Fig. 4.17). The pairs of films were placed one on the outer surface of the plug and the other on the inner surface, between the boron carbide and uranium shells. The etched films were counted by the Quantimet 720 and by eye using a Leitz microscope. The results are shown in Tables 4.9 to 4.12. The overlap corrected values of the Quantimet counts were calculated assuming an average track area of 180 picture points, the value measured for Film 206.

The quantities of interest in these comparisons are the reproducibility of each method of counting, reflected in the ratios of

Fig. 4.16 Correction factor for overlap.

\section*{TABLE 4.8}

Overlap correction for two different films
```

Fi1m No. = 175
Source = Natural Uranium Deposit (Normal Incident)
Position = CONSORT Vertical Thermal Column
Condition = 100 kW 7 hours

```
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \multicolumn{3}{|c|}{Eye} & \multicolumn{4}{|c|}{QTM} \\
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multirow[b]{2}{*}{Tracks/cm \({ }^{2}\)} & \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multicolumn{2}{|c|}{Tracks/cm \({ }^{2}\)} \\
\hline & & & & & Observed & Overlap corrected \\
\hline 490 & 7235 &  & 215 & 9062 & 17014 & \[
\begin{gathered}
17494 \\
\pm \\
1.1 \%^{*}
\end{gathered}
\] \\
\hline
\end{tabular}

Film No. \(=206\)
Source \(=\) Natural Uranium She11
Position \(=\) NISUS Uranium Shell
Condition \(=10 \mathrm{~kW} 5 \mathrm{~min}\)
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \multicolumn{3}{|c|}{Eye} & \multicolumn{4}{|c|}{QTM} \\
\hline \multirow[t]{2}{*}{No. of frames} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multirow[b]{2}{*}{Tracks/cm \({ }^{2}\)} & \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multicolumn{2}{|c|}{Tracks/cm \({ }^{2}\)} \\
\hline & & & & & Observed & Overlap corrected \\
\hline 532 & 4347 &  & 250 & 34992 & 56502 &  \\
\hline
\end{tabular}

Note: *Statistical error only


Fig. 4.17 NISUS facility with SSTR irradiation positions.
```

                                    TABLE 4.9
    Comparison of track counting by eye and Quantimet }72

```

Reactor Power \(=1 \mathrm{~kW}\)
Irradiation Time \(=10 \mathrm{~min}\).


Comparison of track counting by eye and Quantimet 720
Reactor Power
\(=1 \mathrm{~kW}\)
Irradiation Time
\(=20 \mathrm{~min}\).
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow{3}{*}{Film No.} & \multirow{3}{*}{Position} & \multicolumn{3}{|c|}{Eye} & \multicolumn{4}{|c|}{QTM} & \multicolumn{2}{|c|}{Ratios \({ }^{*}\)} \\
\hline & & \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multirow[b]{2}{*}{Tracks/ \(\mathrm{cm}^{2}\)} & \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[t]{2}{*}{Total count} & \multicolumn{2}{|c|}{Tracks/cm \({ }^{2}\)} & \multirow[b]{2}{*}{Eye} & \multirow[b]{2}{*}{QTM} \\
\hline & & & & & & & Observed & Overlap corrected & & \\
\hline 237 & Outer & 450 & 9751 & 25766 & 250 & 15618 & 25219 & 25805 & 10.22 & 10.74 \\
\hline 238 & Inner & 355 & 753 & 2522 & 171 & 1016 & 2398 & 2403 & \(\pm 3.8 \%\) & \(\pm 3.0 \%\) \\
\hline 225 & Outer & 448 & 9752 & 25883 & 300 & 18842 & 25354 & 25947 & 10.19 & 10.75 \\
\hline 226 & Inner & 430 & 919 & 2541 & 259 & 1545 & 2408 & 2413 & \(\pm 3.5 \%\) & \(\pm 2.6 \%\) \\
\hline 257 & Outer & 459 & 10148 & 26289 & 250 & 15681 & 25321 & 25912 & 10.52 & 10.08 \\
\hline 258 & Inner & 379 & 797 & 2500 & 250 & 1465 & 2565 & 2571 & \(\pm 3.7 \%\) & \(\pm 2.7 \%\) \\
\hline
\end{tabular}

Note: \(\quad\) Errors shown are statistical sampling errors only ( \(1 \sigma\) ).

Comparison of track counting by eye and Quantimet 720
Reactor Power
\(=10 \mathrm{~kW}\)
Irradiation Time
\(=2 \mathrm{~min}\).
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow{3}{*}{Film No.} & \multirow{3}{*}{Position} & \multicolumn{3}{|c|}{Eye} & \multicolumn{4}{|c|}{QTM} & \multicolumn{2}{|c|}{Ratios*} \\
\hline & & \multirow[t]{2}{*}{No. of frames} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multirow[b]{2}{*}{Tracks/cm \({ }^{2}\)} & \multirow[t]{2}{*}{No. of frames} & \multirow[t]{2}{*}{\begin{tabular}{l}
Total \\
count
\end{tabular}} & \multicolumn{2}{|c|}{Tracks/ \(\mathrm{cm}^{2}\)} & \multirow[b]{2}{*}{Eye} & \multirow[b]{2}{*}{QTM} \\
\hline & & & & & & & Observed & Overlap corrected & & \\
\hline 195 & Outer & 323 & 7227 & 26605 & 196 & 12137 & 24997 & 25573 & 10.34 & 10.47 \\
\hline 201 & Inner & 275 & 595 & 2573 & 183 & 1105 & 2437 & 2442 & \(\pm 4.3 \%\) & \(\pm 3.0 \%\) \\
\hline 198 & Outer & 414 & 9137 & 26243 & 196 & 12117 & 24956 & 25530 & 10.45 & 10.59 \\
\hline 203 & Inner & 365 & 771 & 2512 & 179 & 1067 & 2406 & 2411 & \(\pm 3.8 \%\) & \(\pm 3.0 \%\) \\
\hline 229 & Outer & 387 & 8704 & 26743 & 250 & 15991 & 25821 & 26436 & 10.16 & 10.57 \\
\hline 230 & Inner & 444 & 983 & 2633 & 250 & 1546 & 2496 & 2502 & \(\pm 3.4 \%\) & \(\pm 2.6 \%\) \\
\hline
\end{tabular}

Note: * Errors shown are statistical sampling errors only (lo).

Comparison of track counting by eye and Quantimet 720
Reactor Power
\(=10 \mathrm{~kW}\)
Irradiation Time
\(=5 \mathrm{~min}\).
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow{3}{*}{Film No.} & \multirow{3}{*}{Position} & \multicolumn{3}{|c|}{Eye} & \multicolumn{4}{|c|}{QTM} & \multicolumn{2}{|c|}{Ratios**} \\
\hline & & \multirow[t]{2}{*}{No. of frames} & \multirow[t]{2}{*}{Total count} & \multirow[b]{2}{*}{Tracks/cm \({ }^{2}\)} & \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[t]{2}{*}{Total count} & \multicolumn{2}{|c|}{Tracks/cm \({ }^{2}\)} & \multirow[b]{2}{*}{Eye} & \multirow[b]{2}{*}{QTM} \\
\hline & & & & & & & Observed & Overlap corrected & & \\
\hline 206 & Outer & 532 & 4347 & 60724 & 250 & 34992 & 56502 & 59582 & 9.90 & 10.05 \\
\hline 209 & Inner & 374 & 1930 & 6136 & 175 & 2558 & 5901 & 5931 & \(\pm 2.7 \%\) & \(\pm 2.0 \%\) \\
\hline 261 & Outer & 430 & 3273 & 56567 & 250 & 32335 & 52212 & 54825 & 9.82 & 9.15 \\
\hline 262 & Inner & 430 & 2084 & 5763 & 250 & 3692 & 5962 & 5994 & \(\pm 2.8 \%\) & \(\pm 1.7 \%\) \\
\hline 263 & Outer & 430 & 3532 & 61043 & 250 & 33676 & 54377 & 57220 & 9.92 & 9.79 \\
\hline 264 & Inner & 430 & 2224 & 6150 & 250 & 3601 & 5815 & 5845 & \(\pm 2.7 \%\) & \(\pm 1.7 \%\) \\
\hline
\end{tabular}

Note: * Errors shown are statistical sampling errors only (1б).
counts in two films simultaneously irradiated in different positions, and the relative efficiency of the two methods of counting, reflected in the ratio of count of a single film by the two methods.

\subsection*{4.11.1 Reproducibility}

The ratio of fission rates in the two positions calculated by the neutron transport theory code ANISN \({ }^{(83)}\) is 10.86 . The experiment thus tests the reproducibility of the two counting techniques for measurements of fission rates differing by one order of magnitude. Since the techniques have a limited dynamic range in track density one can expect that the ratio is only correctly measured when the neutron fluence during the irradiation is within rather narrow limits.

The ratios are plotted against the larger track density in Fig. 4.18. It can be seen that the Quantimet 720 results are superior to the eye counts in this test. In particular the eye count results are widely discrepant at the lowest track densities. This was later found to be due to miscounting the samples at very low track density. In fact at this order of track density several frames can be found with no tracks at all, and they should be counted as zero number of tracks per field of view. Both the eye and Quantimet counted ratios seem to be systematically low for the experiment in which the track density of one of the films was greater than \(5 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\). This is probably attributable to track overlap errors.

For the nine pairs of films satisfactorily counted with the Quantimet the mean ratio was 10.55 with a standard of of 0.22 , or \(2.1 \%\).



Fig. 4.18 Ratio of track density for the films irradiated on the outer position of the uranium plug to the inner ones
for the two counting methods.

For the six pairs of films satisfactorily counted by eye the mean ratio was 10.31 with a standerd of of 0.15 , or \(1.4 \%\).

The above values for the standard are actually less than one would expect from the number of tracks counted. This may reflect the selection implied in choosing films "satisfactorily" counted.

\subsection*{4.11.2 Relative counting efficiency}

The ratios of Quantimet counted track density to eye counted track density for the 24 films are shown in Table 4.13 and Fig. 4.19. The three very low ratios for films 236, 254 and 256 are attributed to incorrect eye counting. The remaining ratios are consistent with a constant value of relative counting efficiency at all track densities up to the highest value used in the experiment of \(6 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\). This seems surprising in view of the expected overlap errors at such high densities.

For the 21 films satisfactorily counted by both methods the deviztion mean ratio of Quantimet to eye counts was 0.974 with a Stendard of deviation
0.026. The expected standard for this sample was 0.028 .

For the 12 ratios counted with an expected standard deviation
deviation
of less than \(2 \%\) the mean ratio was 0.975 with a standard of 0.018 . deviation
The expected standard: for this sample was 0.015 .
From the above one can deduce that the ratio of the track densities by the two methods differs significantly from 1 and is \(0.974 \pm 0.006\) or \(0.975 \pm 0.005\).

There are two plausible explanations for the difference of the ratio from unity. The more likely of the two is that the measurements

TABLE 4.13

The ratios of the Quantimet counted track
density to eye counted track density
\begin{tabular}{|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Film \\
No.
\end{tabular} & \begin{tabular}{l}
Ey \\
Track
\end{tabular} & \begin{tabular}{l}
(a) \\
\(\mathrm{s} / \mathrm{cm}^{2}\)
\end{tabular} &  & \[
\begin{aligned}
& (\mathrm{a}) \\
& \mathrm{s} / \mathrm{cm}^{2}(\mathrm{~b})
\end{aligned}
\] & \[
\begin{aligned}
& \text { Ratio } \\
& \text { QTM/Eye }
\end{aligned}
\] \\
\hline 235 & 13807 & \(\pm 1.2 \%\) & 13380 & \(\pm 1.2 \%\) & \(0.969 \pm 0.016\) \\
\hline 236 & 1830 & \(\pm 4.4 \%\) & 1261 & \(\pm 4.6 \%\) & \(0.689 \pm 0.044\) \\
\hline 253 & 13302 & \(\pm 1.3 \%\) & 12941 & \(\pm 1.1 \%\) & \(0.973 \pm 0.017\) \\
\hline 254 & 1813 & \(\pm 5.2 \%\) & 1197 & \(\pm 3.7 \%\) & \(0.660 \pm 0.042\) \\
\hline 255 & 13568 & \(\pm 1.3 \%\) & 13304 & \(\pm 1.1 \%\) & \(0.981 \pm 0.017\) \\
\hline 256 & 1824 & \(\pm 4.6 \%\) & 1255 & \(\pm 2.8 \%\) & \(0.688 \pm 0.037\) \\
\hline 237 & 25766 & \(\pm 1.0 \%\) & 25805 & \(\pm 0.8 \%\) & \(1.002 \pm 0.013\) \\
\hline 238 & 2522 & \(\pm 3.6 \%\) & 2403 & \(\pm 3.1 \%\) & \(0.953 \pm 0.046\) \\
\hline 225 & 25883 & \(\pm 1.0 \%\) & 25947 & \(\pm 0.7 \%\) & \(1.002 \pm 0.013\) \\
\hline 226 & 2541 & \(\pm 3.3 \%\) & 2413 & \(\pm 2.5 \%\) & \(0.950 \pm 0.040\) \\
\hline 257 & 26289 & \(\pm 1.0 \%\) & 25321 & \(\pm 0.8 \%\) & \(0.963 \pm 0.012\) \\
\hline 258 & 2500 & \(\pm 3.5 \%\) & 2571 & \(\pm 2.6 \%\) & \(1.028 \pm 0.045\) \\
\hline 195 & 26605 & \(\pm 1.2 \%\) & 25573 & \(\pm 0.9 \%\) & \(0.961 \pm 0.014\) \\
\hline 201 & 2573 & \(\pm 4.1 \%\) & 2442 & \(\pm 3.0 \%\) & \(0.949 \pm 0.048\) \\
\hline 198 & 26243 & \(\pm 1.0 \%\) & 25530 & \(\pm 0.9 \%\) & \(0.973 \pm 0.013\) \\
\hline 203 & 2513 & \(\pm 3.6 \%\) & 2411 & \(\pm 3.1 \%\) & \(0.960 \pm 0.045\) \\
\hline 229 & 26743 & \(\pm 1.1 \%\) & 26436 & \(\pm 0.8 \%\) & \(0.989 \pm 0.013\) \\
\hline 230 & 2633 & \(\pm 3.2 \%\) & 2502 & \(\pm 2.5 \%\) & \(0.950 \pm 0.039\) \\
\hline 206 & 60724 & \(\pm 1.5 \%\) & 59582 & \(\pm 0.5 \%\) & \(0.981 \pm 0.016\) \\
\hline 209 & 6136 & \(\pm 2.3 \%\) & 5931 & \(\pm 2.0 \%\) & \(0.967 \pm 0.029\) \\
\hline 261 & 56567 & \(\pm 1.7 \%\) & 54825 & \(\pm 0.6 \%\) & \(0.969 \pm 0.018\) \\
\hline 262 & 5763 & \(\pm 2.2 \%\) & 5994 & \(\pm 1.6 \%\) & \(1.040 \pm 0.028\) \\
\hline 263 & 61043 & \(\pm 1.7 \%\) & 57220 & \(\pm 0.5 \%\) & \(0.937 \pm 0.017\) \\
\hline 264 & 6150 & \(\pm 2.1 \%\) & 5845 & \(\pm 1.7 \%\) & \(0.950 \pm 0.026\) \\
\hline N & Mean ratio & standard (External of ra & tion (tencry) & Intern2 consis & ```
Standard error
    of mean
        S/\sqrt{N}{N}
``` \\
\hline 21 (c) & 0.974 & \multicolumn{2}{|c|}{0.026} & 0.028 & 0.006 \\
\hline \(12^{(d)}\) & 0.975 & \multicolumn{2}{|c|}{0.018} & 0.015 & 0.005 \\
\hline
\end{tabular}
(a) Errors are statistical sampling errors only (I s.d.)
(b) Overlap corrected
(c) Excluding films 236, 254 and 256
(d) Excluding ratios with standard deviation greater than \(2.0 \%\)


Fig. 4.19 Ratio of track densities by the two methods.
of the areas of the fields of view of the two instruments used were in error. The same stage micrometer with \(10 \mu \mathrm{~m}\) divisions was used to measure both fields of view. An error of less than \(2 \mu \mathrm{~m}\) on each of the four linear dimensions measured could result in the observed discrepancy of \(2.5 \%\). Also the size of the field of view of the Quantimet depends to some extent on electronic stability and therefor requires frequent measurement. The other probable cause of discrepancy between the two methods is a systematic difference in the detection criteria of the human observer and the Quantimet.

\subsection*{4.11.3 Poisson distribution}

One crucial assumption employed in these experiments has been the applicability of Poisson statistics. It is not immediately evident, however, that this assumption holds for human track counting observations. The validity of this assumption was tested with the data obtained from the experiments. In a typical measurement (Film No. 206), the Makrofol S S T R was scanned in 532 frames and a total of 4347 tracks were observed, corresponding to a mean value of 8.171 tracks per frame. The frequency histogram for these data is displayed in Fig. 4.20 in comparison with the Poisson distribution
\[
\begin{equation*}
P_{x}=532 \frac{\mathrm{~m}^{x} e^{-m}}{x!} \tag{4.4}
\end{equation*}
\]

Here the normalization constant 532 is simply the total number of frames and \(m\) is the mean value of the distribution. As can be seen from this figure, the Poisson distribution obtained with \(m=8.171\) is
Frequency


Fig. 4.20 Comparison of the frequency histogram of observed number of tracks per frame with the Poisson distributuion.
in agreement with the frequency histogram. Moreover, the standard deviation obtained directly from the histogram is 2.760 whereas the value found from Poisson statistics is \((m)^{\frac{1}{2}}=(8.171)^{\frac{1}{2}}=2.858\). To conclude whether Poisson distribution can be employed, the chi-square test was used. This test is used to determine how well theoretical distributions, such as Poisson, fit empirical distributions, i.e. those obtained from sample data.

\subsection*{4.11.4 The chi-square test}

According to the rules of probability, results obtained in samples do not agree exactly with theoretical results \({ }^{(84)}\). Suppose in a particular sample a set of possible events \(\mathrm{E}_{1}, \mathrm{E}_{2}, \mathrm{E}_{3}, \ldots, \mathrm{E}_{\mathrm{k}}\) (Table 4.14) are observed to occur with frequencies \(o_{1}, o_{2}, o_{3}, \ldots\), and \(o_{k}\), called "observed frequencies", according to probability rules they are expected to occur with frequencies \(e_{1}, e_{2}, e_{3}, \ldots, e_{k}\), called "expected" or "theoretical frequencies". Often we wish to know whether observed frequencies differ significantly from expected frequencies.

A measure of the discrepancy existing between observed and expected frequencies is supplied by the statistic \(\chi^{2}\) given by
\[
\begin{align*}
x^{2} & =\frac{\left({ }^{o_{1}}-e_{1}\right)^{2}}{e_{1}}+\frac{\left(o_{2}-e_{2}\right)^{2}}{e_{2}}+\ldots+\frac{\left(o_{k}-e_{k}\right)^{2}}{e_{k}} \\
& =\sum_{j=1}^{j} \frac{\left({ }_{j}-e_{j}\right)^{2}}{e_{j}} \tag{4.5}
\end{align*}
\]
where if the total frequency is N ,
\[
\begin{equation*}
\Sigma o_{j}=\Sigma \mathbf{e}_{\mathbf{j}}=N \tag{4.6}
\end{equation*}
\]

If \(x^{2}=0\), observed and theoretical frequencies agree exactly, while \(x^{2}>0\), they do not agree exactly. The larger the value of \(\chi^{2}\), the greater is the discrepancy between observed and expected frquencies. The sampling distribution of \(\chi^{2}\) is approximated very closely by the chi-square distribution.
\[
\begin{equation*}
Y=Y_{0}\left(x^{2}\right)^{\frac{1}{2}(v-2)} e^{-\frac{1}{2} x^{2}}=Y_{0} X^{v-2} e^{-\frac{1}{2} x^{2}} \tag{4.7}
\end{equation*}
\]

TABLE 4.14
\begin{tabular}{|c|c|c|c|c|c|}
\hline Event & \(\mathrm{E}_{1}\) & \(\mathrm{E}_{2}\) & \(\mathrm{E}_{3}\) & \(\ldots\) & \(\mathrm{E}_{\mathrm{k}}\) \\
\hline \hline \begin{tabular}{c} 
Observed \\
frequency
\end{tabular} & \(\mathrm{o}_{1}\) & \(\mathrm{o}_{2}\) & \(\mathrm{o}_{3}\) & \(\ldots\) & \(\mathrm{o}_{\mathrm{k}}\) \\
\hline \begin{tabular}{c} 
Expected \\
frequency
\end{tabular} & \(\mathrm{e}_{1}\) & \(\mathrm{e}_{2}\) & \(\mathrm{e}_{3}\) & \(\ldots\) & \(\mathrm{e}_{\mathrm{k}}\) \\
\hline
\end{tabular}
where \(v\) is the number of degrees of freedom and \(Y_{0}\) is a constant depending on \(v\) such that the total area under the curve is one. The number of degrees of freedom \(v\) is given by
(a) \(\quad v=k-1\) if expected frequencies can be computed without having to estimate population parameters from sample statistics.
(b) \(\quad v=k-1-m\) if expected frequencies can be computed only by estimating \(m\) population parameters from sample statistics. In the present case, Poisson distribution, \(m=1\).

In practice expected frequencies are computed on the basis null of a hypothesis \(H_{0}\). If under this hypothesis the computed value of \(\chi^{2}\) given by Equ. 4.5 is greater than some critical value such as \(\chi_{0.95}^{2}\) or \(\chi_{0.99}^{2}\), which are the critical values at the 0.05 and 0.01 significance levels respectively, we would conclude that the observed frequencies differ significantly from expected frequencies and would reject \(H_{0}\) at the corresponding level of significance. Otherwise we would accept it or at least not reject it. This procedure is called the chi-square test of hypothesis or significance.

The chi-square test was applied to the data obtained from all the measurements by writing the POIS computer program. The program calculates the Poisson distribution, observed and expected frequencies, the probability of having a certain number of tracks per frame and finally the corresponding value of \(\chi^{2}\). The results showed that the "Goodness of Fit" is valid, i.e. the Poisson statistics can be employed
in the present counting experiments.

\subsection*{4.11.5 Conclusions}

Apart from the overlap problem which can easily be overcome by choosing the right irradiation time and etching conditions, the main disadvantage of the Quantimet 720 is the detection of "unwanted features". This includes background, partial detection and breaking up. It was found that this performance depends strongly on the focus, so that it is sometimes necessary to defocus a given field of view to get the right detection. Since the tracks are normally darker than the background, slight defocusing has no effect on the number of tracks per field of view. As it was described earlier in order to get the best results, threshold and, in particular, size setting (or differential track area distribution) should be determined for any given sample. In practice, when dealing with tens of samples, this procedure is time consuming and expensive and virtually impossible. So, it is assumed that the determination of the threshold and size setting for one or two specimens of a given set can be chosen as a typical setting for the rest of the samples.

The most important advantages of the Quantimet 720 are the speed and reproducibility. The eye counting speed, even with no overlapping problem, depends on the number of tracks per field of view. The greater the number of tracks per frame, the longer the counting time. It was found that for a film with track density of the order of \(2 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\), it takes about 3 hours to count 400 fields of view for a typical 20 tracks per frame. Although the
slight focus adjustment for almost every field of view, and rejection of some frames slows down the Quantimet counting speed, it is still possible to count some 12 samples with track density of about \(2 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\) in a normal working day. Since eye counting is not possible continuously for about three hours, counting by the Quantimet is about 8 - 10 times faster than that by eye.

Either method of counting is capable of a precision of \(\pm 2 \%\) or better in fission rate ratio. At this level of statistical accuracy no evidence has been found that the variance of the measurement exceeds that expected from random sampling errors provided that track densities are not greater than \(5 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\) for eye or Quantimet counting or less than \(2 \times 10^{3}\) tracks \(/ \mathrm{cm}^{2}\) for eye counting.

The relative efficiency of the Quantimet to eye counting was found to be \(0.975 \pm 0.005\) (random). This value is subject to a systematic error of \(\pm 2 \%\) attributable to the calibration of field areas.

The data reported were obtained during a period of about one month, so the values obtained for the variances reflect the stability of the counting method over this period.

\section*{5. TRANSPORT THEORY CALCULATIONS}

The design of the NISUS facility involved choosing a configuration which would generate a fast reactor simulation spectrum. This standard neutron field is designed in an way as to allow optimal neutron spectrum characterization by measurements, but also by computations. The choice of the spherical shell geometry enabled a simple and more economic one-dimensional code to be used.

It is assumed that the fast neutron flux generated in NISUS is nearly spherically symmetrical. The departures from the symmetry are caused by the flux gradient in the thermal column extension. A traverse measurement has been made \({ }^{\text {(17) }}\) using threshold detectors across the diamter of the NISUS cavity along the graphite plug axis, and a gradient of up to \(5 \%\) in 8 cm has been found. Nevertheless, the use of one-dimensional solution of the transport equation is justified since the fission rate distribution in the driver shell, as it will be shown in Chapter 7, can be separated in the form \(F(r, \psi, \theta)=R(r) \psi(\psi) \theta(\theta)\). This means that the scalar neutron flux at the centre of NISUS does not depend on the thermal neutron source distribution.

\subsection*{5.1 The ANISN code}

ANISN \({ }^{(83)}\) solves the one dimensional Boltzmann transport equation for neutrons or gama rays in slab, sphere or cy1inder geometry. The source may be fixed, fission or a sub-critical
combination of the two. Criticality search may be performed on any one of the several parameters. Cross sections may be weighted using the space and energy dependent flux generated in solving the transport equation. The solution technique is an advanced discrete ordinates method which has been developed and extended to curvilinear geometry at Los Alamos Scientific Laboratory.

ANISN was designed to solve deep-penetration problems in which angle-dependent spectra are calculated in detail. The principal feature that makes ANISN suitable for such problems is the use of a programming technique with optional data-storage configuration which allows execution of small, intermediate, and extremely large problems. ANISN also includes a technique for handing general isotropic scattering, pointwise convergence criteria, and alternate step function difference equations that effectively remove the oscillating flux distributions sometimes found in discrete ordinates solutions.

In the solution by the discrete ordinates \(\left(S_{N}\right)\) method, the so-called "diamond" difference scheme, wherein flux is assumed to be linear between adjacent mesh points, is employed. The solution in the code will approach the exact solution of the Boltzmann equation with increasing orders of approximation as the space, angle and energy mesh approaches differential size.

In the present work, the ANISN code was used with a 37 group data set derived from the UKAEA Nuclear Data Library by the GALAXY processing code \({ }^{(85)}\). The data file numbers (DFN) of the elements used in the central NISUS spectrum and reaction rate calculations are as follows:
\(\mathrm{A}: 35,{ }^{10_{\mathrm{B}}}: 90,{ }^{11_{\mathrm{B}}}: 49, \mathrm{C}: 21,{ }^{235} \mathrm{U}: 66\), and \({ }^{238} \mathrm{U}: 401\).

\subsection*{5.2 Problem specification}

The ANISN code utilizes variable dimensioning to facilitate efficient core data storage allocation. Because of the variable dimensioning technique, on any given data array, no size restriction is imposed; only a size restriction on the length of the sum of all arrays is imposed. The amount of core data storage for a given problem may be exactly computed as indicated in the documentaion.

The input data for the ANISN code are divided into the following seven data:
(A) Overall problem data storage allocation
(B) Overall problem title and CPU time estimate
(C) Overall problem parameters
(D) Cross section data
(E) Fixed source data
(F) Flux or fission guess data
(G) Remainder of data

The first data set is entered on a single, formatted card which is the first physical card of each problem deck. The second data set consists of a single card containing a problem descriptive title and Central Processor Unit (CPU) time estimate. All remaining input data sets ( \(C\) through \(G\) ) of an ANISN problem are written in the ANISN standard format. Besides specifications which are associated with the nature of the physical problem to be solved, radial mesh spacing may be rather a troublesome matter. An ill-specified mesh
spacing creates a great number of inner iterations which require a considerable amount of computer time, oscillation of flux values may occur in regions with large flux attenuation, and questionable results as a whole may be obtained. The main input data used for ANISN may be summarized as follows:
(a) The maximum order of scatter in any zone assumed to be zero, the
i.e. the \(P_{o}\) isotropic scattering was used because higher \(P_{1}\) moment is not needed for sensitivity studies.
(b) The order of angular quadrature was chosen as 4 and 8 depending on the degree of approximation in \(\mathrm{S}_{\mathrm{N}}\) calculation. (c) The left boundary condition was specified as reflection \(d \phi / d x=0\). The white boundary with the albedo by group was specified for the outer boundary (some fraction returns isotropically).
(d) The number of zones or regions in the problem geometry was made equal to the different layers of construction materials. For instance, in the case of NISUS lb eight zones were defined in the following order : air, A1, \(B_{4} C, A 1\), air, natural uranium, air and graphite. The gap between the aluminium cladding and uranium shell is less than 0.1 mm and may be ignored. In the case of reaction rate calculation a detector was assumed in the centre of the system, forming the first zone.
(e) The number of mesh intervals was estimated from the investigations of the effect of the mesh number on the predicted spectrum. It was found that 51 mesh intervals are adequate for the problem in question and larger mesh number offered no significant advantages.
(f) The spherical shell fixed source was specified at the outer edge of the graphite reflector 50 cm thick (the rightmost mesh interval in the last zone). The thickness 50 cm of the reflector resulted from Emmett's studies; it has been shown \({ }^{(86)}\) that the inner spectrum has been insensitive to a change in thickness of the reflector over the range between 35 and 50 cm .
(g) The group cross section averaged in GALAXY with weighting function \(1 / \Sigma_{t}\), where \(\Sigma_{t}\) is the macroscopic total cross section for each isotope. The nuclear data of the following elements were used: Al, \({ }^{10} \mathrm{~B},{ }^{11} \mathrm{~B}, \mathrm{C},{ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\). The number densities (10 \(0^{24}\) atoms/gm) in the cross section mixing table were calculated using atomic mass, specific density in \(\mathrm{gm} / \mathrm{cm}^{3}\), and percentage of the natural abundance of the isotopes.
(h) The value for EPS, epsilon for lambda and upscatter convergence (accuracy desired) was chosen as 0.0001 . If small perturbations are under analysis, tighter convergence is required.
(i) The angular quadrature constants (direction cosines and weights) for the specified order of \(\mathrm{S}_{\mathrm{N}}\) approximation were taken from ANISN manual.

\subsection*{5.3 Fission neutron spectrum}

The energy distribution of neutrons produced in the fission process is known as the fission spectrum and has been measured for all the common fissile elements. Although rarely encountered in reactor experiments, the fission spectrum is a convenient reference and has been used extensively in developing conventions for reporting
data. Several semi-empirical representations of the fission spectrum have been proposed and fitted to the experimental results within the accuracy of the measurements and are in common usage. Three of these, the formulae of Watt, Cranberg, and Grundl will be discussed for illustration purposes \({ }^{(87)}\).

The Watt fission spectrum is represented by the equation
\[
\begin{equation*}
\phi(E)=C \exp (-E) \sinh (2 E)^{\frac{1}{2}} \tag{5.1}
\end{equation*}
\]
where \(E\) is in units of \(M e V\). For a normalized distribution \(C\) is equal to \((2 / \pi e)^{\frac{1}{2}}=0.484\)

The Cranberg equation is:
\[
\begin{align*}
\phi(E) & =C \exp (-E / 0.965) \sinh (2.29 E)^{\frac{1}{2}}  \tag{5.2}\\
C & =0.45270
\end{align*}
\]

This expression differs only slightly from that due to Watt. In the method of Grundl the fission spectrum is represented by the equation
\[
\begin{equation*}
\phi(E)=C E^{\frac{1}{2}} \exp (-B E) \tag{5.3}
\end{equation*}
\]
with
\[
B=0.776
\]
and
\[
\mathrm{C}=2 \mathrm{~B}^{3 / 2} / \pi^{1 / 2}=0.77
\]

The computer program CHI was used to calculate the \(\phi(E)\) fission spectrum from these three relations for the 37 group GALAXY energy boundaries. The program calculates the probability distribution of the function \(\phi(E)\) so that the area under the curve is one. The representations of these fission spectra are illustrated in Fig. 5.1. Except for minor departures in the high energy range ( \(\mathrm{E}>5 \mathrm{MeV}\) ), the Watt and Cranberg forms are very nearly the same, while the Grundl form differs significantly in the lower energies. Throughout the present calculation the Cranberg fission spectrum was used. This choice is arbitrary and based primarily on its more widespread usage. The illustrated differences in fission spectrum forms may lead to differences in spectrum calculations. For this reason, it is important to specify the form being used.

\subsection*{5.4 Degrees of approximation}

In the present calculations, a comparison of the two \(\mathrm{S}_{\mathrm{N}}\) approximations were made only with isotropic scattering. However, a comparison based on Emmett's calculations made with \(S_{4} P_{0}\) and \(S_{8} P_{6}\) approximations show that on average the discrepancy between these two approximations was sufficiently small to justify the use of \(\mathrm{S}_{4} \mathrm{P}_{0}\) approximation. The ratio \(\mathrm{S}_{8} \mathrm{P}_{6} / \mathrm{S}_{4} \mathrm{P}\) o varied from 1.062 to 1.017 over the energy range 40 keV to 2 MeV , respectively. Therefore, for sensitivity calculation, it is thought that the use of the \(S_{4} P_{0}\) approximation calculations is adequate with a reasonably good confidence in results.


Fig. 5.1 Variation of the Cranberg/Watt and Grundl/Watt spectral-ratios with energy.

The CDC 6600 computer CP (Central Processing) time and the usage of the units depend on the individual problem, but on average the \(\mathrm{S}_{4} \mathrm{P}_{0}\) approximation calculation requires about 450 seconds and uses approximately 20 units.

\subsection*{5.5 Methods of calculation}

The central NISUS spectrum and reaction rate ratios are the measurements. major concern of the standard neutron field. The uncertainties which could have an effect on the shape of the spectrum and the reaction rates may be considered in two broad categories: macroscopic parameters and cross sections. The first includes density, impurity, abundance, and tolerance; the last includes nuclear data file. The effect of these uncertainties in NISUS components the central spectrum and reaction rate ratios were calculated using ANISN onedimensional discrete code. In these calculations the UKNDL/GALAXY 37 group structure was used and 20 reaction rates were calculated. The total flux in the NISUS central spectrum was expressed in units of flux per unit lethargy. The 37 group structure and lethargy width are shown in Table 5.1.

The reaction rate ratios were found relative to the most fundamental reaction rate, \({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\). The computer program LETHAR with subroutine RATIO was written to calculate flux per unit lethargy and reaction rate ratios. The program also calculates the percent difference between two spectra in 37 groups and that of the reaction rate ratios. The data input for this program were the NISUS central total flux ( \(\mathrm{n} . \mathrm{cm}^{-2} \cdot \mathrm{sec}^{-1}\) ) by group and activities (reactions \(\mathrm{cm}^{-3} \cdot \mathrm{sec}^{-1}\) )

TABLE 5.1

The GALAXY 37 group structure and lethargy width
\begin{tabular}{|c|c|c|c|}
\hline Group & \multicolumn{2}{|r|}{Energy interval (MeV)} & Lethargy \\
\hline 1 & 14.60E+00 & 13.50E+00 & \(76.33184 E-03\) \\
\hline 2 & 13.50E+00 & \(12.50 E+00\) & 76.96104E-03 \\
\hline 3 & 12.50E+00 & \(11.25 E+00\) & 10.5350SE-0C \\
\hline 4 & 11.25E+00 & 10.00E+00 & 11.77830E-0く \\
\hline 5 & \(10.00 \mathrm{E}+00\) & 85.00E-01 & 10.25189E-0̇ \\
\hline 6 & \(85.00 \mathrm{E}-01\) & 70.00E-01 & 19.41500E-02 \\
\hline 7 & 70.00E-01 & \(60.70 E-01\) & 14.25515E-02 \\
\hline 8 & 60.70E-01 & \(\therefore 7.20 \mathrm{E}-0 \mathrm{l}\) & 25.15498E-02 \\
\hline 9 & 47.20E-01 & 36.80E-01 & 24.88960E-0C \\
\hline 10 & 36.30E-01 & 28.70E-01 & \(24.86007 \mathrm{E}-02\) \\
\hline 11 & 28.70E-01 & 17.40E-01 & 50.04269E-0C \\
\hline 12 & 17.40E-01 & 11.50E-01 & 41.41232E-02 \\
\hline 13 & 11.50E-01 & -22.10í-02 & \(33.67941 E-02\) \\
\hline 14 & 82.1UE-02 & \(03.905-02\) & 25.06187E-02 \\
\hline 15 & 63. YUE-02 & \(38.805-02\) & 4才.83991E-0C \\
\hline 16 & 38.80E-02 & 23.50E-02 & \(50.14198 \mathrm{E}-0 \mathrm{C}\) \\
\hline 17 & 23.50E-02 & 14.30E-02 & \(49.67409 E-0 \ddot{C}\) \\
\hline 18 & 14.30E-02 & 11.10E-02 & 25.33144E-02 \\
\hline 19 & 11.10E-02 & O5.50E-03 & \(24.93858 \mathrm{E}-02\) \\
\hline 20 & 86.50E-03 & 07.40E-03 & \(24.94994 \mathrm{E}-02\) \\
\hline 21 & 67.40E-03 & \(40.90 E-03\) & 49.95150E-0்̇ \\
\hline 22 & 40.90E-03 & 24.80E-03 & \(5 \cup .02864 E-02\) \\
\hline 23 & 24.80E-03 & 15.00c-03 & 50.27935E-02 \\
\hline 24 & 15.00E-03 & 91.20E-04 & \(49.75804 \mathrm{E}-02\) \\
\hline 25 & 91.20E-04 & \(43.10 \mathrm{E}-04\) & 74.95319E-02 \\
\hline 26 & \(43.10 \mathrm{E}-34\) & C0.40E-04 & 74.79881E-0C \\
\hline 27 & \(20.40 E-04\) & 96.10E-05 & 75.27307E-02 \\
\hline 28 & 96.10E-05 & \(58.30 \mathrm{E}-05\) & 49.97872E-02 \\
\hline 29 & 50.30E-U5 & 27.50E-05 & \(75.14161 \mathrm{E}-0 \mathrm{C}\) \\
\hline 30 & 27.53E-05 & 15.60L-05 & 50.47833E-0¢ \\
\hline 31 & 16.50E-05 & 75.50E-06 & \(70.78551 E-02\) \\
\hline 32 & 75.5UE-06 & 27.70c-06 & 10.02700E-01 \\
\hline 33 & 27.70E-06 & 16.00c-00 & \(54.88437 \mathrm{E}-0 \mathrm{C}\) \\
\hline 34 & 16.0CE-J6 & 50.00E-08 & \(34.65736 E-01\) \\
\hline 35 & 50.30E-08 & 18.00c-00 & 10.21651E-01 \\
\hline 35 & 18.00E-08 & \(70.00 \mathrm{E}-09\) & 94.44616E-CC \\
\hline 37 & \(70.00 \mathrm{E}-09\) & \(10.0 \bar{E}-10\) & \(4 C \cdot 43495 E-01\) \\
\hline
\end{tabular}
of the ANISN outputs. Table (5.2) shows the 20 data files used for reactions cross sections and their origins \({ }^{(86)}\). The last reaction with unity cross section reflects the average total flux in the NISUS centre. The cross sections for these reactions were produced by Emmett in the same group structure as obtained from GALAXY program.
5.6 Nuclear data file The 37 group GALAXY cross section data file was used for ANISN and one-dimensional discrete code. It was found that in some energy groups the corresponding cross section values for the two different weighting functions, i.e. \(1 / E\) and \(1 / \Sigma_{t}\), are not the same. ANISN calculation showed that the fission ratio in the NISUS uranium shell with \(1 / E\) data file is \(\sim 6\) times greater than that with \(1 / \Sigma\) cross section set. The experimental results obtained by S S TR (see Chapter 7) agree with \(1 / \Sigma\) data file. A careful study of the two data sets which have been used by some research workers for several years showed that there are some significant errors in both cross section lists. Comparing \(1 / \Sigma_{t}\) list with the 1/E data set shows the following differences for different materials:

\subsection*{5.6.1 Aluminium}
(a) The values of the downscatters to group one in the first three groups in the \(1 / \Sigma\) list are too large by a factor of 10 .
(b) Absorption cross sections in some groups are considerably smaller compared with those of the \(1 / E\) list, e.g. in groups 22 and 37 with the factors of \(\sim 3\) and \(\sim 5\) respectively.

TABLE 5.2
The reactions cross sections data file and their origins
\begin{tabular}{|c|c|c|}
\hline No & Reaction & Origins (86) \\
\hline 1 & \({ }^{58} \mathrm{Ni}(\mathrm{n}, \mathrm{p}){ }^{58} \mathrm{Co}\) & Grund1 50 group set \\
\hline 2 & \({ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}\) & Grund1 50 group set \\
\hline 3 & \({ }^{115} \mathrm{In}\left(\mathrm{n}, \mathrm{n}^{\prime}\right)^{115^{\mathrm{m}} \mathrm{In}}\) & Grundl 50 group set \\
\hline 4 & \({ }^{238}{ }_{U}(\mathrm{n}, \mathrm{f})\) & Grund1 50 group set \\
\hline 5 & \({ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}\) & Howey 50 group set \\
\hline 6 & \({ }^{32} \mathrm{~S}(\mathrm{n}, \mathrm{p}){ }^{32} \mathrm{p}\) & Howey 50 group set \\
\hline 7 & \(103 \mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \quad 103 \mathrm{~m}^{\mathrm{Rh}}\) & Howey 50 group set \\
\hline 8 & \({ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}\) & Howey 50 group set \({ }^{*}\) \\
\hline 9 & \({ }^{115} \mathrm{In}(\mathrm{n}, \gamma)^{116} \mathrm{In}\) & Combined Grundl and Howey \\
\hline 10 & \({ }^{197} \mathrm{Au}(\mathrm{n}, \gamma){ }^{198} \mathrm{Au}\) & Combined Grundl and Howey \\
\hline 11 & \({ }^{115} \mathrm{In}(\mathrm{n}, \gamma)^{116} \mathrm{In}(\mathrm{Cd})\) & Howey 50 group set \\
\hline 12 & \({ }^{197} \mathrm{Au}(\mathrm{n}, \gamma){ }^{198} \mathrm{Au}(\mathrm{Cd})\) & Howey 50 group set \\
\hline 13 & \({ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}(\mathrm{Cd})\) & Howey 50 group set* \\
\hline 14 & \(197^{197}\) ( \(\left.n, \gamma\right)^{198} \mathrm{Au}\) & Howey 50 group set \\
\hline 15 & \({ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}\) & Howey 50 group set \\
\hline 16 & \({ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}(\mathrm{Cd})\) & Howey 50 group set \\
\hline 17 & \({ }^{238} \mathrm{~S}_{\mathrm{U}}(\mathrm{n}, \mathrm{f})\) & UKNDL/GALAXY \\
\hline 18 & \({ }^{238}{ }_{U}(n, \gamma)\) & UKNDL/GALAXY \\
\hline 19 & 235 U ( \(\mathrm{n}, \mathrm{f})\) & UKNDL/GALAXY \\
\hline 20 & 1.0 & \\
\hline
\end{tabular}

\footnotetext{
*Resonances suppressed
}
(c) Selfscatter in group 22 is about 7 times smaller than, and that of the group 20 is nearly half of the corresponding values in the \(1 / E\) data.
(d) In groups 20,22 and 23 downscatters from preceeding groups are nearly half of those in the \(1 / E\) weighting function list.
(e) Total cross sections in groups 22 and 37 are smaller than the corresponding values in the \(1 / E\) list with the factors of \(\sim_{6}\) and \(\sim 2\) respectively.
5.6.2 Boron 11
(a) In the \(1 / \Sigma\) data list, absorption cross section in groups 23 and 37 are smaller by factors of \(\sim 4\) and \(\sim 5\) respectively.
(b) Selfscatter cross section in group 11 is about \(10 \%\) smaller than that in the \(1 / E\) list. Downscatter in group 13 from the preceeding group is small with a factor of 1.2 in the \(1 / \Sigma\) data set.

\subsection*{5.6.3 Boron 10}

There is no appreciable difference between the two \({ }^{10}\) B cross section sets.
5.6.4 Carbon
(a) In the \(1 / \Sigma\) weighting function list, in group 9 , downscatters from groups 2-6 are zero, and that from group one is large by a factor of 10 .
(b) In the first five groups, downscatters from groups 1-5 are at the order of few hundreds \(m b\) in the \(1 / E\) cross section data, but they
were given as zero in the \(1 / \Sigma\) list.
(c) In the \(1 / \Sigma\) weighting function data, from group 10 onwards, downscatters less than 10 mb were given as zero, and in group 10 downscatter from group 5 is at the order of a hundred mb in the \(1 / E\) list, but it was also given as zero in the \(1 / \Sigma\) list.

\subsection*{5.6.5 Uranium 235}

Absorption and fission cross sections in the \(1 / E\) list in groups 32 and 34 are twice those in the \(1 / \Sigma\) data set, and in group 33 is large by a factor of \(\sim 3\). The difference between the two sets is about \(20 \%\) in groups 29 and 30 and at the order of 5 magnitude in thermal region (group 37). The above-mentioned difference in groups 29 to 34 are due to the resonances which are suppressed in the 1/E set.

\subsection*{5.6.6 Uranium 238}

Absorption cross section in the list with \(1 / E\) weighting function is drastically higher by factors of 2 to 59 in groups \(26-34\), while the maximum discrepancy in the total and self-scattering cross sections in the same range is a factor of about 15 in group 33, and about 8 in group 32, respectively. These differences are again due to the suppression of resonances in the \(1 / \Sigma\) data.

\subsection*{5.6.7 Conclusions}

The conclusion is that neither of the two data sets is
reliable, but a cross-check with the Neutron Cross-Sections BNL-325 \({ }^{\text {( } 88)}\)
and Azad's \({ }^{(17)}\) results showed that the cross section list with \(1 / \Sigma_{t}\) weighting function is rather more acceptable than the other one, in particular in the case of important reaction \({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\) below 580 eV . The differences which are expected to produce the largest effect on central NISUS spectrum are those due to resonance effects below \(\sim 1 \mathrm{keV}\). Neither set can be expected to perform well in this region, but the \(1 / \Sigma_{t}\) data provides the more acceptable fission rate distribution across the shells. The latter is important, for it determines the fast spectrum in NISUS. Thus \(1 / \Sigma_{t}\) cross section list was chosen as data file for ANISN calculations.

\subsection*{5.7 Density variations}

The values given for aluminium density are consistent to better than \(\pm 0.05 \%\) in the literature. So, the effect of variation in density for graphite, boron carbide, and uranium shell was studied.

\subsection*{5.7.1 Graphite density}

The density of graphite depends on the quality or grade and impurities \({ }^{(89)}\), and different values are reported in the publications (Table 5.3).

A measurement was made to determine the graphite density used in NISUS configuration. A specimen of NISUS graphite thermal column was chosen and cut in cylindrical form with \(74.40 \pm 0.02 \mathrm{~mm}\) diamter and \(95.40 \pm 0.02 \mathrm{~mm}\) length. The weight of the sample was measured \(714.21 \pm 0.01 \mathrm{gm}\) and the density was determined as \(1.722 \pm 0.001 \mathrm{gm} / \mathrm{cm}^{3}\).

The calculation showed that the total \(f l u x\) in all groups for the graphite density of \(1.722 \mathrm{gm} / \mathrm{cm}^{3}\) is less than that with the density of \(1.60 \mathrm{gm} / \mathrm{cm}^{3}\). This variation is about \(12 \%\) in the top group down to \(6.7 \%\) in thermal region (Table 5.4). It was also found that the effect of this variation in graphite density in the reaction rate ratios is less than \(1 \%\) in the case of threshold detectors and \({ }^{238} U(n, f)\) and \({ }^{238} U(n, \gamma)\) reactions, but it is of the order of \(2.0 \%\) and \(2.5 \%\) for \(M n(n, \gamma)\) reaction for suppressed and not suppressed resonances, respectively. The difference for the rest of the reaction rate ratios is of the order of \(1 \%\), except \(\operatorname{In}(n, \gamma)\) bare reaction, which is about 0.5\% (Table 5.5).

TABLE 5.3

Variation of graphite density in the literature
\begin{tabular}{|c|c|}
\hline \begin{tabular}{c} 
Graphite density \\
gm/cm
\end{tabular} & References \\
\hline 1.60 & \((90)\) \\
1.62 & \((91)\) \\
\(2.27-2.28\) & \((92)\) \\
2.3 & \((94)\) \\
\hline
\end{tabular}

TABLE 5.4
Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|l|}{Graphite density ( \(\mathrm{gm} / \mathrm{cm}^{3}\) )} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 1.722 & 1.60 & \\
\hline 1 & 13.78363E-08 & 15.43125E-08 & 11.95 \\
\hline 2 & 30.93926E-08 & 34.63632E-08 & 11.95 \\
\hline 3 & 73.26672E-08 & 82.02051E-08 & 11.95 \\
\hline 4 & 18.14043E-07 & 20.30772E-07 & 11.95 \\
\hline 5 & 48.00922E-07 & 53.74450E-07 & 11.95 \\
\hline 6 & 13.00417E-06 & 14.55506E-06 & 11.93 \\
\hline 7 & 26.41921E-06 & 29.56711E-06 & 11.92 \\
\hline 8 & 50.54689E-06 & 56.56478E-06 & 11.91 \\
\hline 9 & 89.00382E-06 & 99.59214E-06 & 11.90 \\
\hline 10 & 12.60001E-05 & 14.09831E-05 & 11.89 \\
\hline 11 & 16.02705E-05 & 17.93504E-05 & 11.84 \\
\hline 12 & 20.02337E-05 & 22.38371E-05 & 11.79 \\
\hline 13 & \(21.61775 \mathrm{E}-05\) & \(35.33554 \mathrm{E}-05\) & 11.76 \\
\hline 14 & \(40.24365 \mathrm{E}-\mathrm{C} 5\) & 44. \(46676 \mathrm{E}-05\) & 11.74 \\
\hline 15 & \(44.35159 \mathrm{E}-05\) & 49.52747E-05 & 11.67 \\
\hline 16 & 39.08868E-05 & \(43.61770 E-05\) & 11.59 \\
\hline 17 & 30.01688E-05 & 33.40123E-05 & 11.47 \\
\hline 18 & 25.40237E-05 & 28.29517E-05 & 11.39 \\
\hline 19 & \(21.72384 \mathrm{E}-05\) & 24.17700E-05 & 11.29 \\
\hline 20 & 19.59158E-05 & 21.77948E-05 & 11.17 \\
\hline 21 & 13.62379E-05 & 15.11216E-05 & 10.92 \\
\hline 22 & 82.13377E-06 & 90.82134E-06 & 10.58 \\
\hline 23 & 48.22919E-06 & 53.10610E-06 & 10.11 \\
\hline 24 & 29.80495E-66 & \(32.05480 \mathrm{E}-06\) & 7.56 \\
\hline 25 & 16.43515E-0.6 & 17. \(6 \rightarrow 286 \mathrm{E}-06\) & 8.87 \\
\hline 26 & 12.84809E-06 & 13.89675E-06 & 8.16 \\
\hline 27 & 10.40363E-06 & \(11.21047 \mathrm{E}-06\) & 7.76 \\
\hline 28 & 78.11490E-07 & 84.03388E-07 & 7.58 \\
\hline 29 & 52.7E123E-07 & 56.59791E-07 & 7.39 \\
\hline 30 & \(34.65372 \mathrm{E}-107\) & 37.17948E-07 & 7.29 \\
\hline 31 & 20.15741E-07 & \(21.61043 \mathrm{E}-07\) & 7.10 \\
\hline 32 & 69.82185t-08 & 74.73600E-08 & 7.04 \\
\hline 33 & 19.79194E-ن̇8 & 21.17399E-08 & 6.98 \\
\hline 34 & 33.62189E-10 & 35.91529E-10 & 6.82 \\
\hline 35 & 33.06830E-12 & 35.31043E-12 & 6.78 \\
\hline 36 & \(46.49 .336 E-14\) & 49.62938E-14 & 6.75 \\
\hline 37 & 26.37590E-15 & 29.57329E-15 & 12.16 \\
\hline
\end{tabular}

TABLE 5.5

Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Reaction} & \multicolumn{2}{|l|}{Graphite density ( \(\mathrm{gm} / \mathrm{cm}^{3}\) )} & \multirow[b]{2}{*}{\(\underset{\%}{\text { Difference }}\)} \\
\hline & 1.722 & 1.60 & \\
\hline \(58 \quad 58\) & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \mathrm{Co}\) & 18.09645E-03 & 18.cis99E-03 & . 60 \\
\hline \[
{ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}
\] & 16.09527E-05 & 16.20956E-05 & . 71 \\
\hline 115 115m & & & \\
\hline In ( \(\mathrm{n}, \mathrm{n}^{\prime}\) ) In & 33.99325E-93 & 34.20946E-03 & . 64 \\
\hline 238 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 53.52106E-03 & 53.00549E-03 & . 64 \\
\hline \[
{ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}
\] & 93.29380E-36 & 93.90208E-06 & .72 \\
\hline \[
{ }^{32} \mathrm{~S}(\mathrm{n}, \mathrm{p})^{32} \mathrm{p}
\] & 11.03743E-03 & 11.11185E-03 & .67 \\
\hline \[
103 \underset{R h\left(n, n^{\prime}\right)}{103 \mathrm{mh}}
\] & 22.65384E-02 & 22.78633E-02 & . 58 \\
\hline 56 56 & & & \\
\hline \(M n(n, \dot{\gamma}) \quad M n\) & 16.91077E-03 & 10́.らソ509E-03 & -1.89 \\
\hline 115116 & & & \\
\hline \(\operatorname{In}(\mathrm{n}, \gamma) \mathrm{In}\) & 19.07686E-62 & 18.90545E-02 & -.48 \\
\hline \[
{ }^{197} \mathrm{Au}(\mathrm{n}, \gamma)^{198} \mathrm{Au}
\] & 20.95133E-02 & 28.01936E-02 & -1.15 \\
\hline \(115 \quad 116\) & & & \\
\hline In ( \(n, r\) ) In (Cd) & 83.19240E-03 & 81.07383E-03 & -1.58 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(12, \gamma) \quad \mathrm{Au}\) (Cd) & 28.91213E-02 & 28.57990E-0̄ & -1.15 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}(\mathrm{Cd})
\] & 16.91584E-03 & 16.54584E-03 & -1.89 \\
\hline \(197{ }^{198}\) & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 20.91270E-U2 & 28.55045E-02 & -1.15 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}
\] & 20.65980E-03 & 25.00749E-03 & -2.44 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma)^{56} \mathrm{Mn} \text { (Cd) }
\] & 26.65899E-03 & 26.6u915E-03 & -2.44 \\
\hline \[
{ }^{238}{ }_{U}(\mathrm{n}, \mathrm{f})
\] & 52.742895-03 & 53.04527E-03 & . 65 \\
\hline \[
{ }_{U}^{238}(n, \gamma)
\] & 14.25027E-02 & 14.10508E-02 & -.59 \\
\hline \[
{ }^{235}(\mathrm{n}, \mathrm{f}) .
\] & 10.00000E-01 & 10.000U0E-01 & 0.00 \\
\hline 1.0 & 56.857725-02 & 67.02807E-02 & . 24 \\
\hline
\end{tabular}

\subsection*{5.7.2 Boron carbide density}

There are two boron carbide shells available for NISUS : Belgian and American shells with densities of 1.49 and \(1.58 \mathrm{gm} / \mathrm{cm}^{3}\), respectively. The physical dimensions of these shells are given in Table 5.6.

The calculation showed (Table 5.7) that the effect of about \(6 \%\) increment in boron carbide density is less than \(2 \%\) in the total flux above 10 keV , but it becomes significant in the lower tail of the spectrum where the boron absorption cross section is high. . It is seen that in the energy range \(40.9-9.12 \mathrm{keV}\) the difference between the two spectra is about \(-1 \%\). This seems surprising in the view of the expected higher absorption by the denser boron carbide she11. A similar effect is observed in the case of 1 mm tolerance in the \(\mathrm{B}_{4} \mathrm{C}\) shell (Table 5.18).

The effect of variation in boron carbide density is negligible in the reaction rate ratios for the threshold detectors (Table 5.8). It was found that the increase of \(6 \%\) in boron carbide density results in \(2.8 \%\) and \(4.0 \%\) decrease in the reaction rate ratios of \(M n(n, \gamma)\) for suppressed and not suppressed resonances, respective1y. This decrement is about \(1.5 \%\) for \(\mathrm{Au}(\mathrm{n}, \gamma)\) (bare and cadmium cover) and In ( \(\mathrm{n}, \gamma\) ) (cadmium cover) reactions. In the case of bare In ( \(n, \gamma\) ) reaction the difference is \(0.6 \%\).

\subsection*{5.7.3 Uranium density}

The NISUS central spectrum and reaction rates were calculated for uranium densities of \(18.84^{(94)}\) and \(18.92^{(6)} \mathrm{gm} / \mathrm{cm}^{3}\) respectively.

It was found that the difference between the two spectra is less than \(\pm 1 \%\) over the whole 37 group, and the difference in the reaction rate ratios is less than \(0.4 \%\) for all reactions (Tables 5.9 and 5.10).

\subsection*{5.8 Impurities}

The impurities in graphite depends on the grade \({ }^{(89)}\) and may vary from batch to batch, and the actual determination is only possible by chemical analysis. Some typical impurities are : aluminium, boron, calcium, iron, nickel, silicon etc. Among the major impurities which could have an effect in neutron slowing down and consequently in the NISUS central spectrum is thought to be water and boron which may have a considerable effect on graphite capture cross section.

TABLE 5.6

NISUS boron carbide shells*
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{\begin{tabular}{l}
Ref. \\
No.
\end{tabular}} & \multicolumn{3}{|c|}{Diameter (mm)} & \multirow[t]{2}{*}{\[
\mathrm{gm} / \mathrm{cm}^{3}
\]} \\
\hline & Inner & Outer & Hole & \\
\hline \multirow[t]{6}{*}{\[
\begin{aligned}
& \mathrm{B}_{4} \mathrm{C} 1 \\
& \mathrm{~B}_{4} \mathrm{C} 2
\end{aligned}
\]} & \(110 \pm .1\) & \(144 \pm .1\) & 17 & 1.49 \\
\hline & \(123.4 \pm .1\) & \(157.4 \pm .1\) & \(45.75 \pm .05\) & 1.58 \\
\hline & & & Straight hole & \\
\hline & & & OR & \\
\hline & & & \(55.0 \pm .05\) & \\
\hline & & & Stepped hole & \\
\hline
\end{tabular}

Note: * Dimensions given for Al cladding, \(t=1 \mathrm{~mm}\).

TABLE 5.7

Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|l|}{Boron carbide density（ \(\mathrm{gm} / \mathrm{cm}^{3}\) ）} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 1.58 & 1.49 & \\
\hline 1 & 13．60527E－08 & 13．78363E－08 & 1．31 \\
\hline 2 & 30．54552E－C8 & 30．43926E－60 & 1.28 \\
\hline 3 & 72．37081E－98 & 73．20672E－08 & 1.23 \\
\hline 4 & 17．92865E－07 & 18．14043E－07 & 1.18 \\
\hline 5 & 47．46751E－07 & 48．00922E－07 & 1.14 \\
\hline 6 & 12．85788E－06 & \(13.00417 \mathrm{E}-06\) & 1.14 \\
\hline 7 & 26．1318JE－06 & 20．41921E－06 & 1.10 \\
\hline 8 & \(50.00314 \mathrm{E}-06\) & \(50.54689 E-00\) & 1.09 \\
\hline 9 & 80．11920E－06 & 89．00382E－06 & 1.00 \\
\hline 10 & 12．48263E－05 & 12．06001E－05 & ． 94 \\
\hline 11 & 15．87715E－05 & 16．02705E－05 & ． 94 \\
\hline 12 & 1४．86589E－05 & \(20.02337 E-05\) & ． 79 \\
\hline 13 & 31．39343E－05 & 31．01776E－05 & ． 75 \\
\hline 14 & 39．76469E－05 & 40．24365E－05 & 1.20 \\
\hline 15 & 43．67394E－05 & 44．35159E－05 & 1.55 \\
\hline 16 & 38．60904E－05 & 39．08868E－05 & 1.24 \\
\hline 17 & 29．75こ65E－05 & 30．01688E－05 & ． 84 \\
\hline 18 & 25．21511E－05 & こ5．40237E－05 & ． 74 \\
\hline 19 & 21：59010E－05 & 21．72304E－05 & ． \(6 \overline{ }\) \\
\hline 20 & 19．40513E－05 & 19．59158F－05 & ． 65 \\
\hline 21 & 13．59290E－05 & 13．02379E－05 & ． 23 \\
\hline 22 & 82．46426í－06 & 82．13377E－00 & －． 40 \\
\hline 23 & 40．54253E－00 & 48．亡こ919E－06 & －． 73 \\
\hline 24 & \(27.97335 E-06\) & 29．00445E－06 & －． 56 \\
\hline 25 & 16．35541E－0́ & 16．43515E－06 & ． 49 \\
\hline 26 & 12．50249F－30 & 1こ． \(84809 \mathrm{E}-06\) & 2.76 \\
\hline 27 & 99．68017E－07 & 10．4U363E－00 & 4.37 \\
\hline 28 & 74．13641E－07 & \(78.114 \smile 0 \mathrm{E}-07\) & 5.37 \\
\hline 29 & \(47.40581 E-07\) & 52．70123E－U7 & 0.67 \\
\hline 30 & \(31.97445 E-07\) & \(34.05372 \mathrm{E}-07\) & 8.38 \\
\hline 31 & 18．21514E－07 & 20．10741E－07 & 10.72 \\
\hline 32 & \(60.59574 E-08\) & \(09.02185 E-08\) & 15.23 \\
\hline 33 & 16．29411E－j8 & 19．79194E－08 & 21.47 \\
\hline 34 & 21．38870E－10 & \(33.62189 \mathrm{E}-10\) & 57.19 \\
\hline 35 & 21．95802E－12 & 33．ט̇880E－12 & 50.53 \\
\hline 35 & こ9．23728E－14 & 40．47036E－14 & 58.74 \\
\hline 37 & 15．7332＋E－15 & 26．37590E－15 & 67.64 \\
\hline
\end{tabular}

TABLE 5.8
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Reaction} & \multicolumn{2}{|l|}{Boron carbide density（gm／cm \({ }^{3}\) ）} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 1.58 & 1.49 & \\
\hline 5858 & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18．09796E－03 & \(18.03645 E-03\) & －． 01 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p})\) ）Mn & 16．07783E－05 & 10．0Y527E－05 & .11 \\
\hline \(115 \quad 115 \mathrm{~m}\) & & & \\
\hline In（ \(n, n^{\prime}\) ）In & 34.01771 E－03 & 33．99325E－03 & －． 07 \\
\hline 238 & & & \\
\hline \(U(\mathrm{n}, \mathrm{f})\) & 53．56196E－03 & \(53.52106 F-03\) & \(-.08\) \\
\hline 56 ， 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 33．17571E－06 & 93．25380E－06 & .13 \\
\hline 3232 & & & \\
\hline \(S(n, p) \quad P\) & 11．03941E－03 & \(11.03743 E-03\) & \(-.02\) \\
\hline 103 ，103m & & & \\
\hline \(\mathrm{Rh}(\mathrm{n}, \mathrm{n}) \quad \mathrm{Rh}\) & \(22.65973 \mathrm{E}-02\) & 22．053044E－62 & －． 03 \\
\hline 5656 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{Mn}\) & 16．45159E－03 & 16．91677E－03 & 2.83 \\
\hline 115116 & & & \\
\hline \(\operatorname{In}(\mathrm{n}, \mathrm{Y}) \quad \mathrm{In}\) & 18．96142E－02 & 19．U 7 E86E－02 & ． 61 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \mathrm{Y}) \mathrm{Au}\) & \(28.51303 E-02\) & \(28.95133 E-02\) & 1.54 \\
\hline 115116 & & & \\
\hline In（ \(\mathrm{n}, \mathrm{Y}\) ）In（Cd） & \(82.02075 E-03\) & \(83.19240 E-03\) & 1.43 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \quad \mathrm{Au}\)（Cd） & \(28.47201 E-02\) & 28．91213E－02 & 1.55 \\
\hline 56 56 & & & \\
\hline \(\operatorname{Mn}(\mathrm{n}, \mathrm{y}) \mathrm{Mn}\)（Cd） & \(16.45102 \mathrm{~F}-03\) & 15．91589E－03 & 2.83 \\
\hline 197198 & & & \\
\hline \(A u(n, \gamma) A u\) & 20．47238E－02 & 28．91270E－02 & 1.55 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\) & 25．64156E－03 & 26．65908E－03 & 3.97 \\
\hline 56 56 & & & \\
\hline \(\operatorname{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\)（Cd） & 25．64099E－03 & 26．05899E－03 & 3.97 \\
\hline & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 52．77810E－03 & 5こ．74289E－03 & －． 07 \\
\hline 238 & & & \\
\hline \(U(\mathrm{n}, \mathrm{r})\) & 14．17249E－02 & 14．25027ビ－02 & ． 53 \\
\hline 235 & & & \\
\hline \(U(\mathrm{n}, \mathrm{f})\) & 10．00000E－01 & \(10.00000 \mathrm{E}-01\) & 0.00 \\
\hline 1.0 & \(60.87405 \mathrm{E}-02\) & 66．05772E－02 & －．01 \\
\hline
\end{tabular}

\section*{TABLE 5.9}

Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|l|}{Uranium density（ \(\mathrm{gm} / \mathrm{cm}^{3}\) ）} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 18.84 & 18.92 & \\
\hline 1 & 13．60527E－08 & 13．57554E－08 & －． 22 \\
\hline 2 & 30．54952E－08 & 30．48481E－08 & \(-.21\) \\
\hline 3 & 72．37681E－08 & 72．22673E－08 & －． 21 \\
\hline 4 & 17．92865E－07 & 17．6Y119E－U7 & －． 21 \\
\hline 5 & \(47.46751 \mathrm{E}-07\) & 47．30354E－07 & －． 22 \\
\hline 6 & 12．85788E－06 & 12．82651E－06 & －． 24 \\
\hline 7 & 26．13180E－06 & 26．06175E－06 & －． 27 \\
\hline 8 & \(50.00314 \mathrm{E}-06\) & \(49.65804 E-06\) & －． 29 \\
\hline 9 & 80．11920E－06 & 87．84752E－06 & －． 31 \\
\hline 10 & 12．48263E－05 & 12．44304E－05 & －． 31 \\
\hline 11 & 15．87715E－05 & 15．82829E－05 & －． 31 \\
\hline 12 & 19．86589E－05 & 19．81585E－05 & －． 25 \\
\hline 13 & 31．38343E－05 & 31．35669E－05 & －． 09 \\
\hline 14 & 39．76469E－05 & \(39.77925 E-05\) & ． 04 \\
\hline 15 & 43．67374E－05 & 43．73896E－05 & ． 15 \\
\hline 16 & 30．60904E－05 & \(38.64261 E-05\) & － 22 \\
\hline 17 & 29．75265E－．J5 & 29．83135E－05 & － 26 \\
\hline 18 & 25．21511E－05 & 25．29040E－U5 & － 30 \\
\hline 19 & \(21.59010 \mathrm{E}-05\) & 21．06196E－05 & .33 \\
\hline 20 & 19．405 \(518 \mathrm{E}-05\) & 19．J3737E－05 & － 37 \\
\hline 21 & 13．59290E－05 & \(13.64427 E-05\) & －38 \\
\hline 22 & 82．40426E－06 & 82．72951E－0́ & ． 32 \\
\hline 23 & 48．58253E－06 & 48．68520E－06 & － 21 \\
\hline 24 & 29．97335E－06 & 29．99248E－06 & ． 06 \\
\hline 25 & 16．35541E－00 & 16．33031E－06 & －． 15 \\
\hline 26 & \(12.50248 \mathrm{E}-06\) & 12．47187E－06 & －． 24 \\
\hline 27 & 99．65017E－07 & 99．43453E－07 & －． 25 \\
\hline 28 & 74．13641E－07 & 73．93140E－07 & －． 28 \\
\hline 29 & 49．4びラ81E－J7 & \(49.25372 E-07\) & －． 31 \\
\hline 30 & \(31.97495 \mathrm{E}-07\) & \(31.86250 E-07\) & －． 35 \\
\hline 31 & 18．21514E－07 & 18．14301E－07 & －． 40 \\
\hline 32 & 60．59574E－08 & 60．ç409E－08 & －． 51 \\
\hline 33 & 16．29411E－08 & \(10.19006 \mathrm{E}-00\) & －． 64 \\
\hline 34 & 21．38870E－10 & 21．27775E－10 & －． 52 \\
\hline 35 & \(21.96802 \mathrm{E}-12\) & 21．83813E－12 & －． 59 \\
\hline 36 & 29．28728E－14 & 29．00279E－14 & －． 77 \\
\hline 37 & 15．73324E－15 & 15．57677E－15 & －． 99 \\
\hline
\end{tabular}

TABLE 5.10
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow[b]{2}{*}{Reaction} & \multicolumn{2}{|l|}{Uranium density ( \(\mathrm{gm} / \mathrm{cm}^{3}\) )} & \multirow[b]{2}{*}{Difference
\(\%\)} \\
\hline & 18.84 & 18.92 & \\
\hline 58.58 , & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18.09796E-03 & 18.02597E-03 & -. 40 \\
\hline \(56 \quad 56\) & & & \\
\hline 115 115m & 16.07783E-05 & 16.V2053E-05 & -. 36 \\
\hline In ( \(\mathrm{n}, \mathrm{n}^{\prime}\) ) In & 34.01771E-03 & 33.09273E-03 & -. 37 \\
\hline 238 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 53.56196E-03 & 53.35641E-03 & -. 38 \\
\hline \({ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}\) & & & \\
\hline  & 93.17571E-06 & 92.85640E-06 & -. 34 \\
\hline \[
{ }^{32} \mathrm{~S}(\mathrm{n}, \mathrm{p})^{32} \mathrm{P}
\] & \(11.03941 \mathrm{E}-03\) & 12.9ヶ535E-03 & -. 40 \\
\hline 103 , 103m & & & \\
\hline . \(\mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \mathrm{Rh}\) & 22.65973E-02 & 22.00~23E-02 & -. 25 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{Mn}\) & 16.45159E-03 & 16.42460E-03 & -. 16 \\
\hline 115116 & & & \\
\hline In (n, r\() \mathrm{In}\) & 10.96142E-92 & 18.46075E-02 & -. 00 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \mathrm{Y}) \quad \mathrm{Au}\) & 28.51503E-02 & 28.49488E-02 & -. 00 \\
\hline 115116 & & & \\
\hline In ( \(n, \gamma\) ) In (Cd) & 82.02075E-03 & 81.97727E-03 & -. 05 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma\) ) Au (Cd) & 28.47201E-02 & 28.45591E-02 & -. 06 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\) (Cd) & 16.45102E-03 & 16.42403E-03 & -. 16 \\
\hline 197198 & & & \\
\hline \({ }_{56} \mathrm{Au}(\mathrm{n}, \mathrm{r}) \mathrm{A}^{\mathrm{Au}}\) & 28.47238E-02 & 23.45628E-02 & -. 06 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}
\] & 25.6́4156E-03 & 25.57593E-03 & -. 26 \\
\hline 56 56 & & & \\
\hline \(M \mathrm{M}(\mathrm{n}, \mathrm{r}) \quad \mathrm{Mn}\) ( Cd\()\) & 25.64099E-03 & 25.57337E-03 & -. 20 \\
\hline 238 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 52.77810E-03 & 52.57151E-03 & -. 39 \\
\hline 238 & & & \\
\hline - U ( \(\mathrm{n}, \mathrm{r}\) ) & 14.17249E-02 & 14.17002E-02 & -. 01 \\
\hline 235 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 10.00000E-61 & 10.0000GE-01 & 0.00 \\
\hline 1.0 & \(66.87405 \mathrm{E}-02\) & 66.07076E-02 & -. 00 \\
\hline
\end{tabular}

\subsection*{5.8.1 Moisture in graphite}

It was found \({ }^{(97)}\) that the NISUS extension thermal column and the cavity have been made of graphite blocks supplied by the manufacturer more than 20 years ago. This long term storage could have resulted in absorption of an appreciable moisture in graphite. A measurement was made to determine the amount of water in graphite. The procedure was based on drying a sample in an oven and measuring the weight of the sample before and after drying. A sample of graphite extension thermal column was chosen and cut in eight discs each 7.5 cm diameter and 1.0 cm thick. The weights of the discs were measured to accuracy of \(\pm 0.1 \mathrm{mg}\), and then dried in an oven at \(100^{\circ} \mathrm{C}\) for different drying times to find out the time in which all moisture is nearly dried out. It was found that at the end of drying time, when a sample is taken out of the oven it starts to absorb moisture in air immediately so that there is a sharp increase in weight followed by an approach to an asymptotic value. At the time of taking out the sample a stop watch was started and the weight was recorded as a function of elapsed time in one minute intervals for 90 min , after which the weight of the sample reached a value about 40 ppm less than the initial weight before drying. The weight of the sample at the end of the drying time can be determined by extrapolating to zero time. Fig. 5.2 shows a typical increase in weight as a function of time for a sample dried for 31 hours. The results of a set of experiments showed that the minimum time of 15 hours is required for graphite sample to be dried at \(100^{\circ} \mathrm{C}\). The average weight loss of several samples dried from 15 hours to about 4 days was found to be 0.0185 gm , resulting in the amount of \(248 \pm 2 \mathrm{ppm}\)


Fig. 5.2 Variation of the weight of the graphite sample as a function of time after taking out of the oven.
moisture in graphite. Taking this value into consideration and assuming that water and graphite are homogeneous mixture with the mean density factor of that graphite, ANISN code was used to calculate the NISUS central spectrum. The number densities of hydrogen and oxygen were taken as \(16.71644 \mathrm{E}-06\) and 83.58220 E - 07 respectively. The effect of the moisture in graphite in the central NISUS spectrum is shown in Fig. 5.3 in comparison with the case assuming dry graphite. It is seen that the shape of the spectrum is unchanged, but when there is a moisture of 250 ppm the flux is about \(13 \%\) lower than the case of dry graphite (Table 5.11). This is because of the high capture cross section of hydrogen and some contribution of oxygen. The ratio of the flux in the two spectra in all groups in constant within \(< \pm 1 \%\). Calculation of the reaction rates showed that the effect of moisture in graphite is negligible as far as reaction rate ratio is concerned. That is the difference in the reaction rate ratios is less than \(0.2 \%\) for all reactions (Table 5.12).

\subsection*{5.8.2 Boron in graphite}

Graphite capture cross section is an important factor in spectrum calculation and it was reported to be 3.4 mb for highest purity in graphite \({ }^{(88)}\) and varies from 4.3 mb up to 6.0 mb for different grades \({ }^{(98)}\). Calculation showed that adding of 0.4 ppm \({ }^{10} \mathrm{~B}\) in graphite results in a typical average capture cross section of 5 mb . Taking this value into account, NISUS central spectrum and reaction rate ratios were calculated and it was found that the effect of \(0.4 \mathrm{ppm}{ }^{10} \mathrm{~B}\) in graphite is to reduce the total flux in all

TABLE 5.11

Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|l|}{Moisture in graphite} & \multirow[b]{2}{*}{Difference \％} \\
\hline & Dry & 250 ppm & \\
\hline 1 & 13．7756UE－08 & 11．97851E－08 & －12．90 \\
\hline 2 & \(30.92317 \mathrm{E}-08\) & 26．93359E－08 & －12．90 \\
\hline 3 & 73．23283E－08 & 63．7d432E－08 & －12．90 \\
\hline 4 & 18．13276E－07 & 15．7ソ327E－07 & －12．90 \\
\hline 5 & 47．98943E－07 & 41．79775E－07 & －12．90 \\
\hline 5 & 12．99806E－U6 & 11．32097E－06 & －1c．90 \\
\hline 7 & 26．40601E－06 & 22．44866E－06 & －12．90 \\
\hline 8 & 50．52053E－06 & 44．00158E－06 & －12．90 \\
\hline 9 & 86．96091E－06 & 77．48146E－06 & －12．90 \\
\hline 10 & 12．59481E－05 & 10．96952E－05 & \(-12.90\) \\
\hline 11 & 10．0こ177E－05 & 13．45412E－05 & －12．91 \\
\hline 12 & 20．02159E－05 & 17．4373UE－05 & －12．91 \\
\hline 13 & \(31.62313 \mathrm{E}-05\) & 27．54091E－05 & －12．91 \\
\hline 14 & \(40.24150 \mathrm{E}-05\) & 35．04644E－05 & －12．91 \\
\hline 15 & 44．34712E－05 & 38．61979E－05 & －12．91 \\
\hline 16 & 39．09457E．05 & \(34.04301 E-05\) & －12．92 \\
\hline 17 & 30．02418E－05 & 25．14106E－05 & －12．93 \\
\hline 18 & \(25.41197 E-05\) & 22．12400E－05 & －12．94 \\
\hline 19 & 21．72869E゙－05 & 18．＇31603E－05 & －12．94 \\
\hline 20 & 17．59793E－05 & 17．06002t－05 & －12．95 \\
\hline 21 & 13．62932E－05 & 11．80097E－05 & －12．97 \\
\hline 22 & 82．17931E－06 & 71．40647E－06 & －13．01 \\
\hline 23 & \(48.24977 E-06\) & \(41.44802 E-06\) & －13．00 \\
\hline 24 & 29．80560E－06 & 25． 0 yBylE－06 & －13．11 \\
\hline 25 & 16．42833E－06 & 14．26573E－06 & －13．16 \\
\hline 25 & 12．82886E－06 & 11．13619E－06 & －13．19 \\
\hline 27 & 10．39029E－06 & 90．11147E－07 & －13．19 \\
\hline 28 & \(77.89439 \mathrm{E}-\mathrm{C7}\) & 67．0278UE－07 & \(-13.18\) \\
\hline 29 & \(52.50211 E-07\) & ＋5．54511E－07 & －13．16 \\
\hline 30 & \(34.48634 \mathrm{E}-07\) & 29．45604E－07 & －13．14 \\
\hline 31 & \(20.03368 E-0.7\) & 17．40739E－07 & －13．11 \\
\hline 32 & \(59.19014 \mathrm{E}-98\) & 60．14509E－08 & －13．07 \\
\hline 33 & 19．562155－08 & 17．00791E－08 & －13．00 \\
\hline 34 & 32．94019E－10 & 28．05901E－10 & －12．99 \\
\hline 35 & 32．39861E－12 & \(28.17080 \mathrm{E}-12\) & －13．05 \\
\hline 36 & \(45.22645 E-14\) & 39．25079E－14 & \(-13.21\) \\
\hline 37 & 24．88707E－15 & 21．07742E－15 & \(-12.90\) \\
\hline
\end{tabular}


Fig. 5.3 Effect of moisture in graphite in the NISUS central spectrum.

TABLE 5.12
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Reaction} & \multicolumn{2}{|r|}{Moisture in graphite} & \multirow[t]{2}{*}{Difference \%} \\
\hline & Dry & 250 ppm & \\
\hline 58 58 & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18.09796c-03 & 18.10870E-03 & . 06 \\
\hline 56 56: & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 16.07783E-05 & 16.03752E-05 & . 06 \\
\hline & & & \\
\hline \(\operatorname{In}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \quad\) In & \(34.01771 E-03\) & 34.C3736E-03 & .00 \\
\hline 238 (n, f) & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & \(53.56196 E-03\) & \(53.54313 E-03\) & . 06 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & \(93.17571 \mathrm{E}-06\) & 93.23202E-06 & . 06 \\
\hline 32 32 & & & \\
\hline \(S(\mathrm{n}, \mathrm{p}) \quad \mathrm{P}\) & 11.03941E-03 & 11.04596E-03 & . 00 \\
\hline 103 103m & & & \\
\hline \(\mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \quad \mathrm{Rh}\) & \(22.65973 E-02\) & \(22.67212 E-02\) & . 05 \\
\hline 56 56 & & & \\
\hline - \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \mathrm{Mn}\) & 16.45159E-03 & 16.43119E-03 & \(-.12\) \\
\hline 115116 & & & \\
\hline In (n, n ) In & 18.96142E-02 & 18.554Y6E-U2 & -. 03 \\
\hline 197198 & & & \\
\hline \(A u(n, \gamma) \quad A u\) & \(28.513035-02\) & 28.48890E-02 & -. 08 \\
\hline & & & \\
\hline \(\operatorname{In}(n, \gamma) \quad\) In ( \(C d\) ) & \(82.02075 E-03\) & 81.91593E-03 & \(-.13\) \\
\hline \[
197 \quad 198
\] & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) (Cd) & 28.47201E-02 & \(28.44961 \mathrm{E}-02\) & -. 08 \\
\hline 56 56 & & & \\
\hline \(\operatorname{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}(\mathrm{Cd})\) & 16.45102E-03 & 16.43063E-03 & -. 12 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 28.47238E-02 & 28.44998E-02 & -. 08 \\
\hline 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\) & 25.64156E-03 & 25.60211E-03 & -. 15 \\
\hline 56 56 & & & \\
\hline \(M n(n, \gamma) \cdot M n(C d)\) & 25.64099E-03 & \(25.6 \cup 154 \mathrm{E}-03\) & -. 15 \\
\hline & & & \\
\hline \[
U(n, f)
\] & 52.77810E-03 & 52.8U894E-03 & . 06 \\
\hline 238 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \gamma)\) & 14.172495-02 & 14.10607E-02 & -. 05 \\
\hline 235 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 10.00000E-01 & \(10.000005-01\) & 0.00 \\
\hline 1.0 & \(66.87405 \mathrm{E}-02\) & 66.88906E-02 & .02 \\
\hline
\end{tabular}
groups by \(38 \%\) (Table 5.13). However, no effect is observed at all in the reaction rate ratios (Table 5.14).

\subsection*{5.9 Abundance variations}

The percent of abundance of some isotopes given on "atom percent" basis is different in the publications. This variation is negligible for \({ }^{238} \mathrm{U}\) and less than \(1.3 \%^{(93-96)}\) for \({ }^{235} \mathrm{U}\). Because of this nominal discrepancy, the variation only in \({ }^{10} \mathrm{~B}\) isotopic abundance was considered.

\subsection*{5.9.1 \(\quad 10 \mathrm{~B}\) abundance}

Some of the light elements have variations in compositions outside the accuracy of determinations, and significant differences in the abundance values have been observed in some samples. Table 5.15 shows the different isotopic abundance of \({ }^{10} \mathrm{~B}\) in the literature. The NISUS central flux and the reaction rates were calculated for abundances of \(18.37 \%\) and \(19.78 \%\) respectively. The results show the greater the \({ }^{10} \mathrm{~B}\) abundance the lower the total flux at different energy groups, because of \({ }^{10} \mathrm{~B}\) high absorption cross section. It
that are
was found as far as spectrum measurement concerned this effect is negligible ( \(<1 \%\) ) above 70 keV , but it is significant in thermal region. In the case of reaction rate ratios the difference in \({ }^{10} \mathrm{~B}\) abundance would have an effect of about \(2.2 \%\) and \(4.0 \%\) in the \(A u(n, \gamma)\) and \(M n(n, \gamma)\) reactions, respectively. Other relevant reactions are less sensitive ( \(\sim \pm 1 \%\) ) than these (Tables 5.16 and 5.17).

TABLE 5.13
Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|c|}{\({ }^{10} \mathrm{~B}\) in graphite} & \multirow[b]{2}{*}{\(\underset{\%}{\text { Diffence }}\)} \\
\hline & Pure & . 4 ppm & \\
\hline 1 & 13.60527E-08 & 84.35743E-09 & -38.00 \\
\hline 2 & 30.54952E-08 & 18.94070E-08 & -38.00 \\
\hline 3 & 72.37681E-08 & \(44.87281 \mathrm{E}-08\) & -38.00 \\
\hline 4 & 17.92365E-c7 & 11.11556E-07 & -38.00 \\
\hline 5 & 47.46751E-07 & 29.42917E-07 & -38.00 \\
\hline 6 & 12.85788E-06 & 79.71682E-07 & -38.00 \\
\hline 7 & 20.13180E-05 & 16.20133E-06 & -38.00 \\
\hline 8 & 50.00314E-06 & \(31.00117 E-06\) & -38.00 \\
\hline 9 & 80.11920E-06 & 54.03249E-06 & -35.00 \\
\hline 10 & 12.43263E-05 & 77.39024E-06 & -38.00 \\
\hline 11 & 15.87715E-05 & 98.43615E-06 & -38.00 \\
\hline 12 & 19.86589E-65 & 12.31658E-05 & -38.00 \\
\hline 13 & 31.33343E-05 & 19.45728E-05 & -38.00 \\
\hline 14 & 3才.76469E-05 & 24.05328E-05 & -38.00 \\
\hline 15 & \(43.67394 E-05\) & 27.07714E-05 & -38.00 \\
\hline 15 & 30.66904E-05 & 23.93675E-05 & -38.00 \\
\hline 17 & 29.75265E-05 & 18.44586E-05 & -38.00 \\
\hline 18 & 25.21511E-05 & 15.03263E-05 & -38.00 \\
\hline 19 & \(21.57010 \mathrm{E}-05\) & 13.385 \(27 \mathrm{E}-05\) & -38.00 \\
\hline 20 & 14.45518E-05 & 12.06756E-05 & -38.00 \\
\hline 21 & 13.5729JE-05 & 84.20589E-06 & -38.01 \\
\hline \(2 ?\) & 32.46426E-06 & 51.12871E-06 & -38.00 \\
\hline 2.3 & 45.53253E-06 & 30.12124E-06 & -38.00 \\
\hline 24 & 29.97335E-06 & 18.58410E-06 & -38.00 \\
\hline 25 & 10.35541E-06 & \(10.14033 \mathrm{E}-06\) & -38.00 \\
\hline 25 & 12.50248E-Co & 77.51773E-07 & -38.00 \\
\hline 27 & S9.68017E-07 & 61.80217E-07 & -38.00 \\
\hline 28 & 74.13641E-07 & \(45.96428 \mathrm{E}-07\) & -38.00 \\
\hline 29 & 49.40581E-07 & \(30.03074 \mathrm{E}-07\) & -38.00 \\
\hline 30 & 31.97495E-07 & 19.82300E-07 & -38.00 \\
\hline 31 & 18.21514E-07 & 11.29289E-07 & -38.00 \\
\hline 32 & 60.59574E-Cō & 37.50552E-08 & -33.01 \\
\hline 33 & 10.29411E-68 & 10.101125-08 & -38.01 \\
\hline 34 & \(21.38870 E-10\) & \(13.25432 \mathrm{E}-10\) & -38.03 \\
\hline 35 & 21.96802E-12 & 13.69726E-12 & -38.00 \\
\hline 36 & 24.28728E-14 & 18.12439E-14 & -38.12 \\
\hline 37 & 15.73324E-15 & 97.53122E-16 & \(-38.00\) \\
\hline
\end{tabular}

TABLE 5.14
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow[b]{2}{*}{Reaction} & \multicolumn{2}{|c|}{\(10_{B}\) in graphite} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & Pure & ． 4 ppm & \\
\hline 5858 & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18．09796E－03 & 18．097928－03 & －． 00 \\
\hline \[
{ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}
\] & 16．07783E－05 & 16．07782E－05 & －． 00 \\
\hline 115 115m & & & \\
\hline \(\operatorname{In}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \quad \mathrm{In}\) & 34．01771E－03 & 34．01767E－03 & －． 00 \\
\hline \({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 53．56196E－03 & 53．56193E－03 & －． 00 \\
\hline \({ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}\) & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 93．17571E－06 & 93．17572E－06 & ． 00 \\
\hline \({ }^{32} \mathrm{~S}(\mathrm{n}, \mathrm{p})^{32} \cdot \mathrm{p}\) & & & \\
\hline \(S(\mathrm{n}, \mathrm{p}) \mathrm{P}\) & 11．03941E－03 & 11．03939E－03 & －． 00 \\
\hline  & & & \\
\hline \({ }_{56} \mathrm{Rh}(\mathrm{n}, \mathrm{n}){ }_{56}{ }^{\mathrm{Rh}}\) & 22．65973E－02 & 22．05967E－02 & －． 00 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \dot{\gamma}){ }^{56} \mathrm{Mn}
\] & 16．45159E－03 & 16．45163E－03 & ． 00 \\
\hline 115116 & & & \\
\hline \(\operatorname{In}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{In}\) & 18．95142E－02 & 18．96145E－02 & ． 00 \\
\hline 197 （ 198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 28．513035－02 & 28．51138E－02 & －． 01 \\
\hline \[
{ }^{115} \operatorname{In}(\mathrm{n}, \mathrm{Y})^{116} \operatorname{In}(\mathrm{Cd})
\] & 82．02075E－03 & 82．02195E－03 & ． 00 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \mathrm{r}) \mathrm{Au}\)（Cd） & 28．472015－02 & 28．47211E－02 & ． 00 \\
\hline 56 & & & \\
\hline \(\cdots \mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\)（Cd） & 16．45102E－03 & 16．45106E－03 & ． 00 \\
\hline 197 & & & \\
\hline \(\mathrm{Au}^{(n, \gamma)} \mathrm{Au}\) & 28．47238E－02 & 28．47247ビ－02 & ． 00 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}
\] & 25．64156E－03 & 25．04151E－03 & －． 00 \\
\hline 56 ， 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\)（Cd） & 25．64099E－03 & 25．040Y4E－03 & －．00 \\
\hline \[
{ }^{238} \underset{U}{ }(n, f)
\] & 52．77810こ－93 & 52．77806E－03 & －． 00 \\
\hline 238 & & & \\
\hline U（ \(\mathrm{n}, \mathrm{r}\) ） & 14．17249E－02 & 14．17256E－02 & ． 00 \\
\hline \({ }^{235}\) U（ \(\left.n, f\right)\) & & & \\
\hline \(U(\mathrm{n}, \mathrm{f})\) & 10．00000E－01 & 10．00000E－01 & 0.00 \\
\hline 1.0 & 06．87405E－02 & \(66.87379 \mathrm{E}-02\) & －． 00 \\
\hline
\end{tabular}

\subsection*{5.10 Tolerances}

The only parts of NISUS arrangements which might be subject to uncertainty in tolerance are the boron carbide shell and its aluminium canning. The thickness of the uranium shell is well known within \(\pm 0.1 \mathrm{~mm}\) and the tolerance in cavity diameter is 1 part in 500. These two nominal tolerances are negligible as far as the accuracy of calculations is concerned.
5.10.1 Tolerance in \(\mathrm{B}_{4} \mathrm{C}\) shell

A tolerance of 1 mm was assumed for boron carbide shell and the NISUS central spectrum and the reaction rate ratios were calculated for a 14 mm boron carbide shell. It was found that the thinner the shell the higher the flux, much more noticably below 4.3 keV where the variation is from about \(3 \%\) up to \(81 \%\) in the thermal region (Table 5.18).

TABLE 5.15
Isotopic abundance of \({ }^{10} B\)
\begin{tabular}{|c|c|c|}
\hline Atom \% & Atomic mass & References \\
\hline \hline \(18.37 \pm .04\) & 10.8118 & \((6)\) \\
18.45 & - & \((95)\) \\
18.7 & 10.811 & \((93)\) \\
19.78 & 10.811 & \((94)\) \\
19.8 & 10.81 & \((96)\) \\
\(19.8 \pm .2\) & - & \((99)\) \\
\hline
\end{tabular}

TABLE 5.16
Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|c|}{\({ }^{10}\) B abundance} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 19．78\％ & 18．37\％ & \\
\hline 1 & 13．0́c527E－68 & 13．03763E－08 & ． 24 \\
\hline 2 & \(30.54752 \mathrm{E}-08\) & 30．0こと13E－08 & ． 24 \\
\hline 3 & 72．37681E－08 & 72．55612E－08 & ． 25 \\
\hline 4 & 17．92865E－07 & 17．97463E－07 & ． 20 \\
\hline 5 & \(47.46751 E-U 7\) & 47．59305E－07 & － 27 \\
\hline 6 & 12．85738E－06 & 12．39257E－06 & －27 \\
\hline 7 & 20．13180E－06 & 26．2021．8E－05 & .27 \\
\hline 8 & 5C．00314E－06 & 53．14081E－00 & ． 28 \\
\hline 9 & 88．11920E－06 & 88．40912E－06 & ． 33 \\
\hline 10 & 12．43263E－05 & 12．52340E－05 & ． 33 \\
\hline 11 & 15．37715E－05 & 15．ヨさ177E－05 & ． 28 \\
\hline 12 & 17．3653YE－05 & 19．4こ591E－05 & ． 30 \\
\hline 13 & 31．38343E－0．5 & \(31.53534 \mathrm{E}-05\) & ． 49 \\
\hline 14 & 39．76409E－05 & 39． \(96805 \mathrm{E}-05\) & ． 51 \\
\hline 15 & 43．67394E－05 & 43． \(30469 \mathrm{E}-05\) & ． 53 \\
\hline 1.6 & 36．6U904E－05 & 38．00711E－05 & ． 67 \\
\hline 17 & 29．75265E－05 & 30．09083E－05 & ． 83 \\
\hline 18 & 25．21511E－05 & 25．47040E－05 & 1.01 \\
\hline 19 & 21．59010E－05 & 21．84801E－05 & 1.19 \\
\hline 20 & 19．45518E－25 & 19．74216E－05 & 1.45 \\
\hline 21 & 13．59290E－05 & 13．05029E－：5 & 1.89 \\
\hline 22 & －2．46426E－06 & 84．58105E－06 & 2.57 \\
\hline 23 & 45．58253E－06 & 50．1dてUごE－06 & 3.24 \\
\hline 24 & 29．97335E－06 & 31．10829E－06 & 3.94 \\
\hline 25 & \(10.35541 \mathrm{E}-00\) & 17．09815E－06 & 4.54 \\
\hline 26 & 12．50248E－06 & 13．07437E－06 & 4.57 \\
\hline 27 & 99．03017E－07 & \(10.47377 \mathrm{E}-06\) & 5.07 \\
\hline 29 & 74．13641E－07 & 78．ち38ல4E－07 & 0.01 \\
\hline 29 & 49．4Jら81E－07 & 52． 931 ¢6E－07 & 7.14 \\
\hline 30 & 31．97495E－07 & \(34.83578 \mathrm{E}-07\) & 8.95 \\
\hline 31 & 16．21514E－c7 & 20．ご5105E－07 & 11.18 \\
\hline 32 & 60．59574E－00 & 70．50007E－08 & 10.48 \\
\hline 33 & 16．29411E－38 & 20．23541E－08 & 24.50 \\
\hline 34 &  & \(35.02708 \mathrm{E}-10\) & 71.25 \\
\hline 35 & 21．968J2E－12 & 37．10036E－12 & 68.88 \\
\hline 35 & 2y．29728E－14 & 52．54281E－14 & 79.40 \\
\hline 37 & \(15.73324 E-15\) & 30．00321E－15 & 90.70 \\
\hline
\end{tabular}

\section*{TABLE 5.17}

Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow[b]{2}{*}{Reaction} & \multicolumn{2}{|c|}{\({ }^{10}\) B abundance} & \multirow[b]{2}{*}{\[
\underset{\%}{\text { Difference }}
\]} \\
\hline & 19.78\% & 18.37\% & \\
\hline \(58 \quad 58\) & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18.09796E-03 & 17.90746E-03 & -1.05 \\
\hline 56 , 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 16.07783E.-05 & 15.90306E-05 & -1.08 \\
\hline \(115{ }^{\text {m }}\), \(\mathrm{n}^{115 \mathrm{~m}}\) & & & \\
\hline \[
238^{\operatorname{In}(n, n)} \operatorname{In}
\] & 34.01771E-03 & 33.66499E-03 & -1.04 \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 53.56196E-03 & 52.99941E-03 & -1.05 \\
\hline \[
{ }_{\mathrm{Fe}(\mathrm{n}, \mathrm{p})}{ }^{56} \mathrm{Mn}
\] & 43.17571E-0́ & 92.16320E-06 & -1.09 \\
\hline \[
3_{S}(n, p)^{32} P
\] & 11.03941E-03 & 10.92329E-03 & -1.05 \\
\hline \[
103 \mathrm{Rh}_{(\mathrm{n}, \mathrm{n})}^{103 \mathrm{~m}} \mathrm{Rh}^{2}
\] & 22.65973E-02 & 22.44358E-02 & -. 95 \\
\hline \[
{ }^{56} \operatorname{Mn}(n, \gamma) . \mathrm{Mn}
\] & 16.45159E-03 & 16.9ソ125E-03 & 3.28 \\
\hline \[
{ }^{115} \operatorname{In}(\mathrm{n}, \gamma)^{116} \cdot \operatorname{In}
\] & 18.96142E-02 & 19.15581E-02 & 1.03 \\
\hline \[
{ }^{197} \underset{\mathrm{Au}(\mathrm{n}, \gamma)}{198} \mathrm{Au}
\] & \(23.51303 \mathrm{E}-02\) & 29.13602E-02 & 2.19 \\
\hline \[
{ }^{115} \operatorname{In}(\mathrm{n}, \gamma)^{116} \operatorname{In}(\mathrm{Cd})
\] & C2.02675E-03 & 84.61963E-03 & 3.17 \\
\hline \[
197 \mathrm{Au}(\mathrm{n}, \mathrm{Y}) \cdot \mathrm{Au}(\mathrm{Cd})
\] & 28.47201E-02 & 29.09778E-02 & 2.20 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma)^{56} \mathrm{Mn} \text { (Cd) }
\] & 16.45102E-03 & 16.79029E-03 & 3.28 \\
\hline \[
{ }^{197} \mathrm{Au}(\mathrm{n}, \gamma){ }^{198} \mathrm{Au}
\] & 28.47238E-02 & 29.09840E-02 & 2.20 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}
\] & 25.64156E-03 & 26.74542E-03 & 4.30 \\
\hline \[
{ }^{56} \operatorname{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}(\mathrm{Cd})
\] & 25.64099E-03 & 26.7+446E-03 & 4.30 \\
\hline \[
{ }_{U}^{238}(n, f)
\] & 52.77810E-03 & 52.22173E-03 & \(-1.05\) \\
\hline \[
{ }^{238} \quad U(n, \gamma)
\] & 14.17249E-02 & 14.31961E-02 & 1.04 \\
\hline \[
{ }^{235} \cdot \mathrm{U}(\mathrm{n}, \mathrm{f})
\] & 10.00000E-01 & 10.00000E-01 & 0.00 \\
\hline 1.0 & 60.87405i-02 & 65.02489E-02 & -. 37 \\
\hline
\end{tabular}

Above 4.30 keV the total flux is about \(1 \%\) higher in all groups except in groups 22,23 and 24 in the energy range \(40.9-9.12 \mathrm{keV}\), where the flux is reduced by about \(1 \%\). This seems surprising in the view of the expected less absorption by the thinner boron carbide shell. Similar effect was observed for variation in the \(B_{4} C\) density (see Table 5.7).

In the reaction rate calculations (Table 5.19) the differences in the reaction rate ratios are less than \(0.2 \%\) for the threshold detectors, and those of the \(M n(n, \gamma)\) reactions are \(3.2 \%\) and \(4.5 \%\) for suppressed and not suppressed reactions respectively. The difference is about \(1.8 \%\) for \(A u(n, \gamma)\) and \(\operatorname{In}(n, \gamma)\) (cadmium covered) reactions but less than \(1 \%\) for bare \(\ln (n, \gamma)\) reaction.

\subsection*{5.10.2 Tolerance in A1 canning}

The effect of 0.5 mm tolerance in both sides of the boron carbide aluminium canning was studied in the central spectrum and reaction rate ratios. The effect is less than \(\pm 1 \%\) in the total flux in all groups except for the aluminium resonances at 35,89 and 143 keV , where the differences are just over - \(1 \%\) (Table 5.20).

In the reaction rate ratios the difference is about \(1 \%\) for the threshold detectors and negligible for the rest of the reaction rates (Table 5.21).

\subsection*{5.11 Cross sections}

In the spectrum and reaction rate calculations the largest uncertainties are due to cross sections, mainly in uranium.

TABLE 5.18
Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|l|}{Tolerance in \(\mathrm{B}_{4} \mathrm{C}\) shell} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 15 mm & 14 mm & \\
\hline 1 & 13．60527E－08 & 13．79735E－08 & 1.41 \\
\hline 2 & 30．54952E－08 & 30．Yó \(777 \mathrm{E}-08\) & 1.37 \\
\hline 3 & 72．37681E－08 & 73．32904E－08 & 1.32 \\
\hline 4 & 17．92865E－07 & 18．15448E－07 & 1.26 \\
\hline 5 & \(47.46751 \mathrm{E}-07\) & 48．04218E－07 & 1.21 \\
\hline 6 & 12．85788E－06 & 13．01169E－06 & 1.20 \\
\hline 7 & 26．13180E－06 & 26．43158E－06 & 1.15 \\
\hline 8 & \(50.00314 \mathrm{E}-06\) & 50．56629E－06 & 1.13 \\
\hline 9 & 88．11920E－06 & 89．02456E－06 & 1.03 \\
\hline 10 & 12．48263E－05 & 12．00171E－05 & ． 95 \\
\hline 11 & \(15.87715 \mathrm{E}-05\) & 15．0ご25E－05 & ． 95 \\
\hline 12 & 19．80589E－05 & 20．0こ082E－05 & － 76 \\
\hline 13 & 31．38343E－05 & 31．61254E－05 & ． 73 \\
\hline 14 & 3Ч．70469E－05 & 40．25040E－05 & 1． \(\mathrm{c}_{\text {c }}\) \\
\hline 15 & 43．67394E－05 & 44．354 \(44 \mathrm{E}-05\) & 1.50 \\
\hline 16 & 38．60904E－05 & 39．07486E－05 & 1.21 \\
\hline 17 & 24．75265E－05 & 30．00069E－05 & ． 83 \\
\hline 18 & 25．21511E－05 & 25．59058E－05 & － 70 \\
\hline 19 & 21．59010E－05 & 21．71471E－05 & ． 56 \\
\hline 20 & 19．46518t－05 & 19．5d642E－05 & ． 62 \\
\hline 21 & 13．59290E－05 & ．13．01802E－05 & ． 19 \\
\hline 22 & 82．46426E－C6 & 82．0บ933E－06 & －． 44 \\
\hline 23 & \(48.58253 \mathrm{E}-06\) & 48．22264E－00 & －． 74 \\
\hline 24 & 29．97335E－06 & 29．80986E－06 & －． 55 \\
\hline 25 & 16．35541E－06 & 16．44444E－06 & ． 54 \\
\hline 26 & 12．50248E－66 & 12．87028E－06 & 2.94 \\
\hline 27 & 99．68017E－07 & 10．43313E－06 & 4.67 \\
\hline 28 & \(74.13641 E-47\) & 78．42425E－07 & 5.78 \\
\hline 29 & \(49.40581 E-07\) & 53．08618E－07 & 7.45 \\
\hline 30 & \(31.97495 \mathrm{E}-07\) & \(34.77015 E-07\) & 9.37 \\
\hline 31 & 18．21514E－07 & \(20.43249 \mathrm{E}-07\) & 12.17 \\
\hline 32 & 60．59574E－08 & 71．26002E－08 & 17.60 \\
\hline 33 & 10．29411F－08 & 20．38453E－08 & 25.10 \\
\hline 34 & 21．38870E－10 & 30．19754E－10 & 69.24 \\
\hline 35 & 21．96802E－12 & 35．007C3E－12 & 59.63 \\
\hline 36 & \(2 \rightarrow\) 2d728E－14 & 49．73317E－14 & 54.81 \\
\hline 37 & 15．732こ4E－15 & \(28.474 \dot{C} E-15\) & 80.58 \\
\hline
\end{tabular}

TABLE 5.19

Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow[t]{2}{*}{Reaction} & \multicolumn{2}{|l|}{Tolerance in \(\mathrm{B}_{4} \mathrm{C}\) shell} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 15 mm & 14 mm & \\
\hline 58 58 & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18.09796E-03 & 18.0Ч975E-03 & .01 \\
\hline 56 , 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 10.07783E-05 & 16.10303E-05 & . 16 \\
\hline \(115 \quad 115 \mathrm{~m}\) & & & \\
\hline \[
\operatorname{In}\left(n, n^{\prime}\right) \quad \operatorname{In}
\] & \(34.01771 \mathrm{E}-03\) & 33. \(99416 E-03\) & -. 07 \\
\hline 238 . & & & \\
\hline U ( \(\mathrm{n}, \mathrm{f})\) & \(53.56196 E-33\) & 53. \(2335 \mathrm{E}-03\) & -. 07 \\
\hline \[
{ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56} \mathrm{Mn}
\] & 93.17571E-066 & 93.34491E-06 & . 18 \\
\hline 32 32 & & & \\
\hline \(S(n, p) \quad P\) & \(11.03941 E-03\) & 11.03923E-03 & -. 00 \\
\hline \[
103
\] & & & \\
\hline \[
R h(n, n) \quad R h
\] & \(22.65973 \mathrm{E}-02\) & 22.05267E-02 & -. 03 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \mathrm{Mn}\) & 16.45159E-03 & 16.47989E-03 & 3.21 \\
\hline \[
115 \operatorname{In}\left(\mathrm{n} . \mathrm{v}^{116} \mathrm{In}\right.
\] & 18.96142E-02 & 19.09700E-02 & 72 \\
\hline \(197^{\text {In }(n, \gamma)} 198\) & 18.96142こ-02 & & 72 \\
\hline \[
A u(n, \gamma) \quad A u
\] & 28.51303E-02 & 27.01769E-02. & 1.77 \\
\hline 115 116 & & & \\
\hline In (n, \(\gamma\) ) In (Cd) & c2.02075E 03 & 83.42314E-03 & 1.71 \\
\hline 197198 & & & \\
\hline \(A u(n, \gamma) \quad A u\) ( \(C d)\) & 28.47201E-02 & \(28.47846 E-02\) & 1.78 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn} \text { (Cd) }
\] & \(16.45102 \mathrm{E}-03\) & 10.97894E-03 & 3.21 \\
\hline 197198 & & & \\
\hline \(A u(n, \gamma) \quad A u\) & 28.47238E-02 & 28. \(77908 \mathrm{Cl}-02\) & 1.78 \\
\hline \[
{ }^{56} \operatorname{Mn}(n, \gamma){ }^{56} \operatorname{Mn}
\] & 25.04156E-03 & 20.7ソ708E-03 & 4.51 \\
\hline 56 56. & & & \\
\hline Mn ( \(n, \gamma\) ) Mn (Cd) & 25.640995-03 & 20.79674E-03 & 4.51 \\
\hline \[
{ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})
\] & Ь2.77810E-43 & 52.74608E-03 & -. 00 \\
\hline 238 & & & \\
\hline U ( \(n, \gamma)\) & 14.17249E-02 & 14.20276E-02 & . 64 \\
\hline \[
{ }^{235} U(n, f)
\] & 10.00000E-U1 & \(10.000005 \rightarrow 01\) & 0.00 \\
\hline 1.0 & 66.37405E-02 & 66.85993E-02 & -. 020 \\
\hline
\end{tabular}

TABLE 5.20

Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Group} & \multicolumn{2}{|l|}{Tolerance in A1 cladding} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\]} \\
\hline & 1 mm & .5 mm & \\
\hline 1 & 13．60527E－08 & 13．71606E－08 & ． 81 \\
\hline 2 & 30．54952E－08 & 30．79141E－08 & ． 79 \\
\hline 3 & 72．37681E－98 & 72．93629E－08 & .77 \\
\hline 4 & 17．92865E－07 & 18．064¢2E－07 & ． 76 \\
\hline 5 & 47．46751E－07 & 47．81983E－07 & ． 74 \\
\hline 6 & 12．85788E－06 & 12．95550E－06 & ． 76 \\
\hline 7 & 26．13180E－06 & 26．34171E－06 & ． 80 \\
\hline 8 & 50．00314E－06 & 50．37487E－06 & .74 \\
\hline 9 & 88．11920E－06 & 88．75038E－06 & － 7 こ \\
\hline 10 & 12．48263E－05 & 12．55374E－05 & ． 57 \\
\hline 11 & 15．87715E－05 & 15．90831E－05 & ． 20 \\
\hline 12 & 17．85589E－05 & 19．54403E－05 & .14 \\
\hline 13 & \(31.38343 \mathrm{~F}-\mathrm{C} 5\) & 31．395YこE－05 & ． 04 \\
\hline 14 & 39．76469E－u5 & 39．06086E－05 & ． 24 \\
\hline 15 & \(43.67394 \mathrm{E}-05\) & 43．08094E－05 & ． \(0 ¢\) \\
\hline 16 & 38．60904E－05 & 38．49872E－05 & －． 24 \\
\hline 17 & 29．75265E－05 & 29．75618E－05 & ． 01 \\
\hline 18 & 25．21511E－05 & 24．94277E－05 & －1．06 \\
\hline 19 & 21．59J10E－05 & 21．63463E－05 & － 21 \\
\hline 20 & 19．46518E－05 & 19．22377E－05 & －1．24 \\
\hline 21 & 13．5929UE－05 & 13．47552E－05 & －． 80 \\
\hline 22 & C2．46425E－06 & 81．60146E－06 & －1．05 \\
\hline 23 & 48．53253E－06 & 48．14907E－06 & －．89 \\
\hline 24 & 29．97335E－06 & 29．73908E－06 & －． 61 \\
\hline 25 & 16．35541E－06 & 16．27807E－06 & －． 47 \\
\hline 26 & 12．50248E－C6 & 12．44944E－06 & －． 42 \\
\hline 27 & צ5．68017E－07 & 99．28203E－07 & －． 40 \\
\hline 28 & 74．13541E－07 & \(73.05103 \mathrm{E}-07\) & －． 38 \\
\hline 29 & 49．4C581E－07 & \(49 . \overline{1553 E-07}\) & －． 39 \\
\hline 30 & \(31.97495 E-07\) & 31．87387E－U7 & －． 32 \\
\hline 31 & 18．21514E－07 & 18．17934E－07 & －． 20 \\
\hline 32 & 60．59574E－08 & 60． \(32442 \mathrm{E}-08\) & －． 12 \\
\hline 33 & 10．29411E－08 & 16．28145E－08 & －． 08 \\
\hline 34 & 21．38870E－10 & 21． \(30356 E-10\) & －． 40 \\
\hline 35 & 21．96802E－12 & \(21.05159 E-12\) & －1．44 \\
\hline 35 & 29．28728E－14 & 29．0こ205E゙－14 & －． 91 \\
\hline 37 & 15．73324E－15 & 15．71285E－15 & －． 13 \\
\hline
\end{tabular}

TABLE 5.21

Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Reaction} & \multicolumn{2}{|l|}{Tolerance in Al cladding} & \multirow[b]{2}{*}{Difference \(\%\)} \\
\hline & 1 mm & . 5 mm & \\
\hline \(58 \quad 58\) & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & \(18.09796 \mathrm{E}-03\) & 18.24782E-03 & . 83 \\
\hline \[
{ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p})^{56} \mathrm{Mn}
\] & & & \\
\hline \(115{ }^{\text {c }}\) ( 115 m & 16.07783E-05 & 16.24056E-05 & 1.01 \\
\hline In ( \(n, \mathrm{n}^{\prime}\) ) In & 34.01771E-33 & 34.21683E-03 & . 59 \\
\hline 238 ( f) & & & \\
\hline U ( \(\mathrm{n}, \mathrm{f}\) ) & 53.56196E-03 & 53.08661E-03 & .61 \\
\hline \[
{ }^{56} \mathrm{Fe}(\mathrm{n}, \mathrm{p}){ }^{56}{ }_{\mathrm{Mn}}
\] & 93.17571E-06 & 94.11993E-06 & \\
\hline \(32 \quad 32\) & & 94.1199JE-06 & 1.01 \\
\hline S ( \(\mathrm{n}, \mathrm{p}\) ) P & 11.03941E-03 & 11.12824E-03 & .80 \\
\hline 103 , 103m & & & \\
\hline \(\mathrm{Rh}(\mathrm{n}, \mathrm{n}) \quad \mathrm{Rh}\) & 22.65973E-02 & 22. \(76334 \mathrm{E}-02\) & . 40 \\
\hline \(56{ }^{56}{ }^{56}\) & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{Mn}\) & 16.45159E-03 & 16.41977E-03 & -. 19 \\
\hline 115116 & & & \\
\hline In \((\mathrm{n}, \gamma) \mathrm{In}\) & 18.96142E-02 & 18.93830E-02 & -.12 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \mathrm{r}) \quad \mathrm{Au}\) & 20.51303E-02 & 28.45809E-02 & -. 19 \\
\hline \[
{ }^{115} \operatorname{In}(\mathrm{n}, \gamma)^{116} \operatorname{In}(\mathrm{Cd})
\] & & & \\
\hline \[
\operatorname{In}(n, \gamma) \quad \operatorname{In}(C d)
\] & 82.02075E-03 & 81.69714E-03 & -. 39 \\
\hline 197198 & & & \\
\hline - \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) (Cd) & 28.47201E-02 & 28.41808E-02 & -. 19 \\
\hline 56 56 & & & \\
\hline Mn( \(\mathrm{n}, \mathrm{y}\) ) Mn (Cd) & 16.45102E-03 & 16.41420E-03 & -. 19 \\
\hline 197 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 26.47238E-02 & 28.41905E-02 & -.19 \\
\hline \(56 \quad 56\) & & & \\
\hline \(\cdots \mathrm{M}(\mathrm{n}, \gamma) \mathrm{Mn}\) & 25.6+156E-03 & 25.59804E-03 & -. 17 \\
\hline 56.56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\) (Cd) & 25.64099E-03 & 25.59807E-03 & -. 17 \\
\hline \({ }^{238} \mathrm{U}\) ( \(\left.n, f\right)\) & & & \\
\hline \[
238^{U(n, f)}
\] & 52.77810E-03 & 53.10817E-03 & .63 \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{Y})\) & 14.17249E-02 & 14.15332E-0 & -. 14 \\
\hline 235 & & & \\
\hline U ( \(\mathrm{n}, \mathrm{f}\) ) & 10.00000E-01 & 10.00000E-01 & 0.00 \\
\hline 1.0 & 66.87405E-02 & 66.9.334E-02 & .09 \\
\hline
\end{tabular}

Calculations were made to see how the central flux and the reaction rate ratios are sensitive to variations in fission cross sections. Although there might be some large uncertainties in the \({ }^{238} \mathrm{U}\left(\mathrm{n}, \mathrm{n}^{\prime}\right)\), \({ }^{238}{ }_{U}(n, \gamma)\) and \({ }^{238} U(n, n)\) elastic cross sections, it is most important in the present measurements to understand the effect of errors in the fission cross sections since these can affect the measured fission rates in two ways : (i) in the generation of the fast neutron spectrum, and (ii) in the response function of the detectors themselves. In order to distinguish the calculations were made with fission cross sections of the uranium in the shells only changed.

\subsection*{5.11.1 Uranium 235}

The calculations showed that a change of \(\pm 2 \%\) in the fission cross section in all groups results in a decrease of about \(\pm 4.6 \%\) in the total flux, while there is a negligible change in the reaction rate ratios for all groups (Tables 5.22 and 5.23).
5.11.2 Uranium 238

The effects of the cross section variations in the \({ }^{238} U(n, f)\) reaction were studied separately for a change of \(\pm 2 \%\) above threshold energy and \(\pm 10 \%\) covering threshold region \(1.74-0.639 \mathrm{Mev}^{\text {(94) }}\).

It was found that the effect of both changes in the fission cross sections is less than \(\pm 1 \%\) and \(\pm 0.1 \%\) in the central NISUS spectrum and reaction rate ratios, respectively (Tables 5.24 to 5.27).

TABLE 5.22
Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow[t]{2}{*}{Group} & \multicolumn{2}{|l|}{\({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\) cross section＊} & \multirow[b]{2}{*}{\begin{tabular}{l}
Difference \\
\％
\end{tabular}} \\
\hline & No change & \[
\text { (in } 37^{-2 \%} \text { groups) }
\] & \\
\hline 1 & 13．60527E－08 & 12．97869E－08 & －4．61 \\
\hline 2 & 30．54952E－08 & 29．14254E－08 & －4．61 \\
\hline 3 & 72．37681E－08 & 69．04355E－08 & －4．61 \\
\hline 4 & 17．92865E－07 & 17．10295E－07 & －4．61 \\
\hline 5 & 47．46751E－07 & 45．28109E－07 & －4．61 \\
\hline 6 & 12．85788E－06 & 12．20549E－06 & －4．61 \\
\hline 7 & 26．13180E－06 & 24．92753E－06 & －4．61 \\
\hline 8 & 50．00314E－06 & 47．69823E－06 & －4．61 \\
\hline 9 & 88．11920E－06 & 84．05666E－06 & －4．61 \\
\hline 10 & 12．48263E－05 & 11．90712E－05 & －4．61 \\
\hline 11 & 15．87715E－05 & 15．14537E－05 & －4．61 \\
\hline 12 & 19．86589E－05 & 18．95088E－05 & －4．61 \\
\hline 13 & 31．38343E－05 & 29．93916E－05 & －4．60 \\
\hline 14 & 39．76469E－65 & 37．93523E－05 & －4．60 \\
\hline 15 & \(43.67394 \mathrm{E}-05\) & \(41.66570 \mathrm{E}-05\) & －4．60 \\
\hline 16 & 38．60904E－05 & \(36.83367 E-05\) & －4．60 \\
\hline 17 & 2ч．75265E－05 & 28．38460E－05 & －4．60 \\
\hline 18 & 25．21511E－05 & \(24.05600 \mathrm{E}-05\) & －4．5y \\
\hline 19 & 21．59010E－05 & 20．59951E－05 & －4．54 \\
\hline 20 & 19．46518E－05 & 18．57380E－05 & －4．58 \\
\hline 21 & 13．59290E－05 & 12．97018E－05 & －4．58 \\
\hline 22 & 42．46426E－06 & 78．03459E－06 & －4．58 \\
\hline 23 & 48．58253E－06 & 46．35420E－06 & －4．59 \\
\hline 24 & 29．97335E－06 & 28．59640E－06 & －4．59 \\
\hline 25 & 16．35541E－06 & 15．60359E－06 & －4．60 \\
\hline 26 & 12．50248E－06 & 11．93003E－06 & －4．58 \\
\hline 27 & 99．69017ビーレ7 & \(95.11634 \mathrm{E}-07\) & －4．58 \\
\hline 28 & 74．13641E－07 & 70．73906E－07 & －4．58 \\
\hline 29 & \(49.40581 \mathrm{E}-07\) & 47．14159E－07 & －4．58 \\
\hline 30 & \(31.97495 E-07\) & 30．50947E－07 & －4．58 \\
\hline 31 & 18．21514E－07 & 17．38044E－07 & －4．58 \\
\hline 32 & 60．59574E－08 & 57．81774E－08 & －4．58 \\
\hline 33 & 16．29411E－08 & 15．54739E－08 & －4．58 \\
\hline 34 & \(21.39870 E^{\text {2 }}\)－10 & 20．40859E－10 & －4．58 \\
\hline 35 & 21．95802E－12 & 20．96146E－12 & －4．58 \\
\hline 36 & 29．23728E－14 & 27．94513E－14 & －4．58 \\
\hline 37 & 15．73324E－15 & 15．33157E－15 & －c． 55 \\
\hline
\end{tabular}

Note：＊No change made in the \({ }^{235} U(n, f)\) detector response．

TABLE 5.23

Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow[b]{2}{*}{Reaction} & \multicolumn{2}{|l|}{\({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\) cross section*} & \multirow[b]{2}{*}{Difference
\(\qquad\)} \\
\hline & No change & \[
\text { (in } 37 \text { groups) }
\] & \\
\hline 5858 & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Co}\) & 18.09796E-03 & 18.07528E-03 & -. 01 \\
\hline 56 56 & & & \\
\hline : \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 16.07783E-05 & 16.07573E-05 & -. 01 \\
\hline & & & \\
\hline \[
\operatorname{In}\left(n, n^{\prime}\right) \quad \operatorname{In}
\] & 34.01771 E-03 & 34.01320E-03 & -. 01 \\
\hline 238 & & & \\
\hline . \(\mathbf{U}(\mathrm{n}, \mathrm{f})\) & \(53.56196 E-03\) & \(53.55462 E-03\) & -. 01 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 93.17571E-06 & 93.16424E-06 & -. 01 \\
\hline 32 32 & & & \\
\hline \(S(n, p) \quad P\) & 11.03941E-03 & 11.03778E-03 & -. 01 \\
\hline \[
103 \mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \quad \mathrm{Rh}
\] & 22.65973E-02 & \(22.65741 E-02\) & -. 01 \\
\hline 56 , 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{Mn}\) & 10.45159E-03 & 16.43324E-03 & .01 \\
\hline 115116 & & & \\
\hline In ( \(n, \gamma\) ) In & 18.96142E-02 & 18.9.0210E-02 & . 00 \\
\hline 197. 198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \quad \mathrm{Au}\) & \(28.51303 \mathrm{E}-02\) & \(28.51324 E-02\) & .00 \\
\hline 115116 & & & \\
\hline In ( \(\mathrm{n}, \gamma\) ) In (Cd) & -2.02075E-03 & 82.03019E-03 & .01 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma\) ) Au (Cd) & 28.47201E-02 & 28.47397E-02 & . 01 \\
\hline 56 , 56 & & & \\
\hline \(\operatorname{Mn}(\mathrm{n}, \gamma) \quad \mathrm{Mn}(\mathrm{Cd})\) & 16.45102E-03 & 16.4b207E-03 & .01 \\
\hline 197198 & & & \\
\hline \(A u(n, \gamma) \quad A u\) & 28.47238E-02 & 28.47434E-02 & . 01 \\
\hline 5656 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\) & \(25.64156 E-03\) & 25.04441E-03 & .01 \\
\hline 56 56 & & & \\
\hline \(M n(n, \gamma) \quad M n(C d)\) & 25.64099E-03 & 25.04383E-03 & .01 \\
\hline \[
\begin{array}{r}
238^{\circ}(n, f)
\end{array}
\] & \(52.77810 E-63\) & 52.77071E-03 & -. 01 \\
\hline 238 & & & \\
\hline U ( \(\mathrm{n}, \gamma)\) & 14.17249E-02 & 14.17307E-02 & . 00 \\
\hline 235 & & & \\
\hline U ( \(n, \mathrm{f}\) ) & 10.00000E-01 & 10.00000c-01 & 0.00 \\
\hline 1.0 & 60.87405E-02 & 60. 67207E-02 \(^{\text {a }}\) & -. 00 \\
\hline
\end{tabular}

Note: \(\quad *\) No change made in the \({ }^{235} U(n, f)\) detector response.

TABLE 5.24

Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow[t]{2}{*}{Group} & \multicolumn{2}{|l|}{\({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) cross section＊} & \multirow[b]{2}{*}{Difference \％} \\
\hline & No change & \[
\begin{aligned}
& +2 \% \\
& \text { (above } 1.74 \mathrm{MeV} \text { ) }
\end{aligned}
\] & \\
\hline 1 & 13．60527E－08 & 13．72286E－08 & ． 80 \\
\hline 2 & 30．54952E－08 & \(30.81320 E-06\) & ． 86 \\
\hline 3 & 72． 37581 E－08 & 73．00086E－08 & ． 86 \\
\hline 4 & 17．92865E－07 & 18．08333E－07 & ． 86 \\
\hline 5 & \(47.46751 \mathrm{E}-07\) & 47．87847E－07 & ． 87 \\
\hline 6 & 12．85788E－06 & 12． \(46989 E-06\) & ． 87 \\
\hline 7 & 26．13180E－06 & 26．30106E－06 & ． 88 \\
\hline 8 & 50．00314E－06 & 50．44472E－06 & ． 88 \\
\hline 9 & 88．11920E－06 & 88．90041E－U6 & ． 89 \\
\hline 10 & 12．48263E－05 & 12．59336E－05 & ． 84 \\
\hline 11 & 15．87715E－05 & 16．01716E－05 & ． 88 \\
\hline 12 & 19．80589E－05 & 20．03803E－05 & ． 87 \\
\hline 13 & 31．38343E－05 & 31．64931E－05 & ． 85 \\
\hline 14 & 39．76469E－05 & 40．0ヲ7このE－05 & ． 84 \\
\hline 15 & 43．67394E－05 & \(44.03594 E-05\) & ． 83 \\
\hline 16 & 38．609045－05 & 38．42734E－05 & ． 8 c \\
\hline 17 & 29．75265E－05 & C9． \(97658 \mathrm{E}-05\) & ． 8 c \\
\hline 18 & 25．215115－05 & 25．42097E－05 & ． 82 \\
\hline 19 & 21．59010E－05 & 21．76558E－05 & ． 81 \\
\hline 20 & 19．46518E－05 & 19．02256E－05 & ． 81 \\
\hline 21 & 13．59290E－05 & 13．70200E－05 & ． 80 \\
\hline 22 & 32．46426E－06 & 83．12029E－06 & － 80 \\
\hline 23 & \(48.58253 E-16\) & 48．96434E－06 & ． 79 \\
\hline 24 & 29．97335E－06 & 30．こび577E－06 & ． 78 \\
\hline 25 & 10．35541E－06 & 16．47886E－06 & ． 75 \\
\hline 26 & 12．50248E－06 & 12．59593E－06 & ． 75 \\
\hline 27 & 94．68017E－07 & 10．04227E－06 & ． 74 \\
\hline 28 & 74．13641E－07 & 74．09028E－07 & ． 75 \\
\hline 29 & 49．40581E－07 & \(49.77309 E-07\) & ． 74 \\
\hline 30 & \(31.97495 E-07\) & 32．21228E－07 & ． 74 \\
\hline 31 & 18．21514E－07 & 18．3う047E－07 & ． 74 \\
\hline 32 & 60．59574E－08 & 51．04459E－08 & ． 74 \\
\hline 33 & 10．29411E－08 & 16．41472E－08 & ． 74 \\
\hline 34 & \(21.3387 \mathrm{CE}-10\) & \(21.54683 E-10\) & － 74 \\
\hline 35 & 21．96802天－12 & 22．13034E－12 & ． 74 \\
\hline 36 & 2＇．28728E－14 & 29． \(20352 E-14\) & ． 74 \\
\hline 37 & 15．73324E－15 & 15．79746E－15 & －4 4 \\
\hline
\end{tabular}

Note：＊No change made in the \({ }^{238}(n, f)\) detector response．

TABLE 5.25
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Reaction} & \multicolumn{2}{|l|}{\({ }^{238}{ }_{U(\mathrm{n}, \mathrm{f})}\) cross section＊} & \multirow[b]{2}{*}{Difference \％} \\
\hline & No change & \[
\begin{aligned}
& +2 \% \\
& \text { (above } 1.74 \mathrm{MeV} \text { ) }
\end{aligned}
\] & \\
\hline 58 58 & & & \\
\hline Ni（ \(\mathrm{n}, \mathrm{p}\) ）Co & 18．09796E－03 & 18．10897E－03 & ． 06 \\
\hline \[
{ }_{\mathrm{Fe}(\mathrm{n}, \mathrm{p})}{ }^{56} \mathrm{Mn}
\] & 16．07783E－05 & 16．08623E－05 & ． 05 \\
\hline \(115 \quad 115 \mathrm{~m}\) & & & \\
\hline \(\mathrm{In}(\mathrm{n}, \mathrm{n}) \quad \mathrm{In}\) & 34．01771E－03 & 34．03613E－03 & ． 05 \\
\hline 238 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 53．56196E－03 & 53．59207E－03 & ． 06 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 93．17571E－06 & 93．22126E－06 & ． 05 \\
\hline \(32 \quad 32\) & & & \\
\hline S（ \(\mathrm{n}, \mathrm{p}\) ） P & 11．03941E－03 & 11．04614E－03 & ． 00 \\
\hline \[
{ }^{103} \underset{\mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{1}\right)}{103 \mathrm{~m}}{ }_{\mathrm{Rh}}
\] & 22．65973E－U2 & 22．00369E－02 & \\
\hline 56 56 & 22．65973E－U2 & 22．00369E－02 & ． 04 \\
\hline \(\mathrm{Mn}(\mathrm{n}, \mathrm{y}) \mathrm{Mn}\) & 16．45159E－03 & 16．44387ビ－03 & －． 05 \\
\hline 115116 & & & \\
\hline In（ \(\mathrm{n}, \gamma) \quad \mathrm{In}\) & 18．96142E－02 & 18． \(55861 \mathrm{E}-02\) & －． 01 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \mathrm{r}) \quad \mathrm{Au}\) & 28．51303E－02 & 28．50229E－02 & －． 04 \\
\hline 115116 & & & \\
\hline In \((\mathrm{n}, \gamma) \mathrm{In}(\mathrm{Cd})\) & －2．02075E－03 & 81．98319E－03 & －． 05 \\
\hline 197198 & & & \\
\hline \({ }_{56} \mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\)（Cd） & 28．47201E－02 & 28．40299E－02 & －． 03 \\
\hline \[
{ }^{56}{ }_{\mathrm{Mn}(\mathrm{n}, \gamma)}{ }^{56} \mathrm{Mn} \text { (Cd) }
\] & 16．45102E－03 & 16．44330E－03 & －． 05 \\
\hline 197 ¢ 198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 28．47233E－02 & 28．40336E－02 & －． 03 \\
\hline 56 56 & & & \\
\hline \(M n(n, \gamma) \quad M n\) & 25．64156E－u3 & 25．62671E－03 & －． 06 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\)（Cd） & 25．64099E－ن3 & 25．0く314E－03 & －． 06 \\
\hline 238 & & & \\
\hline U（ \(\mathrm{n}, \mathrm{f}\) ） & \(52.77810 \mathrm{E}-03\) & 52．80358E－03 & ． 00 \\
\hline \({ }^{238}\) & & & \\
\hline \[
235^{U(n, \gamma)}
\] & 14．17249E－02 & 14．169－1E－02 & －．0c \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 10．00000E－01 & 10．00000E－01 & 0.00 \\
\hline 1.0 & \(66.37405 \mathrm{E}-02\) & 66．07950E－02 & ． 01 \\
\hline
\end{tabular}

Note：\(\quad *\) No change made in the \({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) detector response．

TABLE 5.26

Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline \multirow[t]{2}{*}{Group} & \multicolumn{2}{|l|}{\({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) cross section \({ }^{*}\)} & \multirow[b]{2}{*}{Difference \(\%\)} \\
\hline & No change & ＋ \(10 \%\)＊＊ & \\
\hline 1 & 13．60527E－08 & 13．71532E－06 & ． 81 \\
\hline 2 & 10．54952E－08 & 30．79624E－08 & ． 81 \\
\hline 3 & 72．37C81E－08 & 72．90066E－08 & ． 81 \\
\hline 4 & 17．92865E－0́7 & 18．じ \(7338 \mathrm{E}-07\) & ． 81 \\
\hline 5 & \(47.46751 \mathrm{E}-07\) & 47.35 214E－07 & .81 \\
\hline 6 & 12．85788E－06 & 12．90278E－06． & ． 82 \\
\hline 7 & \(26.13180 \mathrm{E}-06\) & 26．34604E－06 & ． 82 \\
\hline 8 & \(50.00314 \mathrm{E}-06\) & \(50.41717 \mathrm{E}-06\) & ． 83 \\
\hline 9 & 88．11920E－06 & B8．85203E－06 & ． 83 \\
\hline 10 & \(12.43263 \mathrm{E}-05\) & 12．53651E－05 & .83 \\
\hline 11 & 15．87715E－05 & 16．1） \(844 \mathrm{E}-05\) & ． 83 \\
\hline 12 & 15．86589E－05 & 20．02705E－05 & ． 81 \\
\hline 13 & 31．38343E－05 & 31．63171E－05 & ． 79 \\
\hline 14 & 39．76469E－05 & \(40.37483 \mathrm{E}-05\) & ． 78 \\
\hline 15 & 43．67394E－05 & 44.011110 É－05 & .77 \\
\hline 16 & 30．60904E－05 & 38．90542E－05 & ． 77 \\
\hline 17 & 2y．75265E－65 & 29．47907E－05 & ． 70 \\
\hline 18 & \(25.21511 E-05\) & 25．4046045－05 & .76 \\
\hline 19 & \(21.59010 \mathrm{E}-05\) & 21． \(7=331 \mathrm{E}-05\) & ． 76 \\
\hline 20 & \(14.46518 E-05\) & 19．01150E－05 & ． 75 \\
\hline 21 & 13．59290E－05 & 13．69427E－05 & ． 75 \\
\hline 22 & と2．46426E－06 & \(83.07341 E-06\) & ． 74 \\
\hline 23 & 48．53253E－06 & \(43.93699 E-06\) & ． 73 \\
\hline 24 & 29．97335E－36 & 30．18893E－00 & ． 72 \\
\hline 25 & 10．35541E－06 & 16．47096E－06 & .71 \\
\hline 26 & 12．50248E－06 & 12．うd921E－06 & ． 69 \\
\hline 27 & 99．68017E－07 & 10．63675E－06 & ． 69 \\
\hline 29 & 74．136＋1E－U7 & 74．0＋519E－07 & ． 69 \\
\hline 29 & 49．43581E－07 & \(49.74438 \mathrm{E}-67\) & ． 6 \\
\hline 30 & 31．97495E－07 & 3E．14307E－U7 & ． 68 \\
\hline 31 & 18．21514E－07 & 18．3400टE－07 & ． 69 \\
\hline 32 & \(60.59574 \mathrm{E}-08\) & 61．009 \({ }^{\text {c }}\) E－98 & ． 68 \\
\hline 33 & 16．29411E－18 & 16．40540E－08 & ． 69 \\
\hline 34 & 21．3887じ，－10 & 21．53400E－10 & ． 08 \\
\hline 35 & \(21.968 \mathrm{j} 2 \mathrm{E}-12\) & 22．11778E－12 & ． 68 \\
\hline 35 & \(2 \ni .28723 \mathrm{E}-14\) & 29．43578E－14 & ． 68 \\
\hline 37 & \(15.73324 E-15\) & 15．74246E－15 & ． 38 \\
\hline
\end{tabular}

Note：＊No change made in the \({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) detector response．
＊＊Energy range 1.74 －． 693 MeV ．

TABLE 5.27
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline \multirow{2}{*}{Reaction} & \multicolumn{2}{|l|}{\({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) cross section*} & \multirow[b]{2}{*}{Difference \%} \\
\hline & No change & +10\% \({ }^{* *}\) & \\
\hline 58 58 & & & \\
\hline \(\mathrm{Ni}(\mathrm{n}, \mathrm{p}) \mathrm{Co}\) & 18.09796E-03 & 18.10919E-03 & . 00 \\
\hline 56 - 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 16.07783E-05 & 16.03637E-05 & . 05 \\
\hline & & & \\
\hline \[
\operatorname{In}\left(n, n^{\prime}\right) \quad \operatorname{In}
\] & 34.01771E-03 & \(34.03648 E-03\) & . 06 \\
\hline 238 & & & \\
\hline - U \(\mathbf{~} \mathrm{n}, \mathrm{f})\) & \(53.56196 E-03\) & 53.59209E-03 & . 06 \\
\hline \[
56 \mathrm{Fe}(\mathrm{n} . \mathrm{o})^{56} \mathrm{Mn}
\] & & & \\
\hline \[
32 \quad 32
\] & 93.17571E-06 & 93.22204E-06 & . 05 \\
\hline S ( \(\mathrm{n}, \mathrm{p}\) ) P & 11.03941E-03 & 11.04627E-03 & . 06 \\
\hline \[
103 \mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{\prime}\right)^{103 \mathrm{~m}} \mathrm{Rh}
\] & \(22.65473 E-02\) & 22.66802E-02 & . 04 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{Mn}\) & 16.45159E-03 & \(10.44374 \mathrm{E}-03\) & -. 05 \\
\hline 115116 & & & \\
\hline \(\operatorname{In}(\mathrm{n}, \gamma) \mathrm{In}\) & 18.96142E-02 & 16.95858E-0¢ & -. 01 \\
\hline 197 . 198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & \(28.51303 E-02\) & 23.50221E-02 & -. 04 \\
\hline 115116 & & & \\
\hline In ( \(\mathrm{n}, \gamma\) ) In (Cd) & \(82.02075 E-03\) & 81. Yo324E-03 & -. 05 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}^{\text {( }} \mathrm{n}, \gamma\) ) Au (Cd) & 20.47201E-02 & 28.40290E-02 & -. 03 \\
\hline \(56 \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}\) (Cd) & 16.45102E-03 & 16.44317E-03 & -. 05 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 28.47238E-02 & 28.40327E-02 & -. 03 \\
\hline 56 , 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) \mathrm{Mn}\) & 25.64156E-03 & \(25.02641 E-03\) & -. 00 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \gamma) . \mathrm{Mn}{ }^{(C d)}\) & 25.640995-033 & 25.62584E-03 & -. 06 \\
\hline \[
238
\] & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & \(52.77810 \mathrm{E}-03\) & 52.80919E-03 & . 06 \\
\hline 238 & & & \\
\hline \(U(\mathrm{n}, \gamma)\) & 14.172495-02 & 14.16989E-02 & -. 02 \\
\hline 235 & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 10.000005-01 & 10.00000E-01 & 0.00 \\
\hline 1.0 & 06.8740 JE-02 & \(65.87942 \bar{E}-02\) & .01 \\
\hline
\end{tabular}

Note: \(\quad *\) No change made in the \({ }^{238} U(n, f)\) detector response. ** Energy range \(1.74-.693 \mathrm{MeV}\).

\subsection*{5.12 Comparison between NISUS and \(\Sigma \Sigma\)}

The Mol \(\Sigma \Sigma\) central flux and reaction rates were calculated using ANISN code with 37 group cross section data file. The results are shown in Tables 5.28 and 5.29. Fig. 5.4 shows a comparison between NISUS and \(\sum \Sigma\) central spectrum. The detailed material and geometrical data of NISUS and \(\Sigma \Sigma\) are compared in Table 5.30. The \({ }^{10}{ }_{B}\) abundance for NISUS has been taken as \(19.78 \%\) which is found in most literature (see Table 5.15) and also been used by Petr \({ }^{\text {(11) }}\).

The parameters which have a great effect in the \(\Sigma \Sigma\) central flux compared with that of NISUS are summarized in Table 5.31. It is seen that the \(14 \%\) increase in the \(\Sigma \Sigma\) total flux above group 21 ( 67.4 keV ) is due to variations in the graphite, boron carbide and uranium densities and also uncertainties in \({ }^{10_{B}}\) abundance. This means that the two central spectra are in agreement within about \(3 \%\) above 67.4 keV . The agreement departs sharply from group 26 onwards (below 4.31 keV ) due to the high effects of boron carbide density and \({ }^{10} \mathrm{~B}_{\mathrm{B}}\) abundance in this region of the spectrum. The reason for the difference of about - 4\% (after subtracting 14\%) in the energy range 40.9-9.12 keV is not fully understood, but it is clear that it is due to variation in boron carbide density (see Table 5.7). Similar effect was also observed in the case of a tolerance of 1 mm in the boron carbide shell (see Table 5.18).

In the case of threshold detectors, the reaction rate ratios in \(\Sigma \Sigma\) are less than \(1.3 \%\) smaller than those in NISUS. In the case of \({ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}\) reaction (bare and Cd covered) the reaction rate ratios in NISUS are \(1.18 \%\) smaller than those in \(\Sigma \Sigma\). The value of

TABLE 5.28
Flux per unit lethargy
\begin{tabular}{|c|c|c|c|}
\hline Group & NISUS & IE & \[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\] \\
\hline 1 & 13．60527E－08 & 15．73674E－08 & 15.67 \\
\hline 2 & 30．54952E－08 & \(35.34058 \mathrm{E}-08\) & 15.68 \\
\hline 3 & 72．376815－08 & 83．72140E－08 & 15.67 \\
\hline 4 & 17．92365E－07 & 20．72740E－07 & 15.61 \\
\hline 5 & 47．46751E－07 & 54．01970E－07 & 15.49 \\
\hline 6 & 12．85788E－06 & 14．41252E－06 & 15.20 \\
\hline 7 & 26．13180E－06 & 30．03380E－66 & 14.93 \\
\hline 8 & 50．00314E－06 & 57．30332E－06 & \(14.7{ }^{\text {c }}\) \\
\hline 9 & 80．11926E－06 & 10．0゙8712E－05 & 14.47 \\
\hline 10 & 12．48263E－05 & 14．ç7001E－C5 & 14.32 \\
\hline 11 & 15．877155－05 & 18．11944E－05 & 14.12 \\
\hline 12 & 17．85584E－05 & 22．70306E－05 & 14.28 \\
\hline 13 & 31．38343E－95 & \(36.27514 E-05\) & 15.54 \\
\hline 14 & 29．76409E－05 & \(40.57850 \mathrm{E}-05\) & 17.14 \\
\hline 15 & \(43.67394 i-65\) & 51．02713E－05 & 10.21 \\
\hline 16 & \(38.66904 \mathrm{E}-\mathrm{C} 5\) & \(45.54042 \mathrm{E}-05\) & 17.95 \\
\hline 17 &  & 3－．91951E－05 & 17.30 \\
\hline 18 & 25．2151ic－j5 & 29．510こ2E－05 & 17.03 \\
\hline 19 & 21．59010E－05 & 25．24501E－05 & 16.93 \\
\hline 20 & 19．46518E－05 & 22．73547E－05 & 16.80 \\
\hline 21 & 13．59290E－05 & 15．7E230E－05 & 15.07 \\
\hline 22 & E2．46420E－ 36 & 93．07022E－06 & 13.54 \\
\hline 23 & 48．54．253z－066 & 54．15532E－06 & 11.47 \\
\hline 24 & 29．97235E－06 & 32．93261E－06 & 9.87 \\
\hline 25 & 16．35541E－36 & 17．827＊3E－06 & 9.00 \\
\hline 26 & \(12.5024 \mathrm{BE}-06\) & 13．34449E－06 & 10.73 \\
\hline 27 & 99．68017E－07 & \(11.28191 E-06\) & 13.18 \\
\hline 28 & 74．13041E－07 & 85． \(11737 E-07\) & 15.08 \\
\hline 29 & 49．46581E－07 & 58．10875E－07 & \(17.6{ }^{\text {c }}\) \\
\hline 30 & 21．97495E－07 & 38．52304E－07 & 20.48 \\
\hline 31 & 18．21514E－U7 & 22．09317E－07 & 24.58 \\
\hline 32 & 60．54574E－08 & 80．8j098E－08 & 33.34 \\
\hline 33 & 16．29＋11E－08 & 23．45963E－08 & 47.04 \\
\hline 34 & 21．38870E－10 & \(54.73363 \mathrm{E}-10\) & 155.90 \\
\hline 35 & 21．9ó8u2E－12 & 54．40937E－12 & 148.04 \\
\hline 35 & 2才．23728E－14 & 79．80275E－14 & 172.40 \\
\hline 37 & 15．73324E－15 & 5c．00208E－15 & 223．č4 \\
\hline
\end{tabular}

TABLE 5.29
Reaction rate ratios
\begin{tabular}{|c|c|c|c|}
\hline Reaction & . NISUS & \(\Sigma \Sigma\) & \[
\begin{gathered}
\text { Difference } \\
\%
\end{gathered}
\] \\
\hline 5858. & & & \\
\hline Ni ( \(\mathrm{n}, \mathrm{p}\) ) Co & 18.09796E-03 & 17.83498E-03 & -1.18 \\
\hline 56 , 56 & & & \\
\hline \(\mathrm{Fe}(\mathrm{n}, \mathrm{p}) \quad \mathrm{Mn}\) & 10.07783E-05 & 15.47122E-05 & -. 66 \\
\hline 115 115m & & & \\
\hline \(\operatorname{In}\left(\mathrm{n}, \mathrm{n}^{\prime}\right) \quad \mathrm{In}\) & \(34.01771 \mathrm{E}-03\) & 33.01966E-03 & -1.17 \\
\hline \[
{ }^{238}{ }_{U}(n, f)
\] & 53.56196E-03 & 52.07880E-03 & -1.26 \\
\hline \[
{ }_{\mathrm{Fe}(\mathrm{n}, \mathrm{p})}{ }^{56} \mathrm{Mn}
\] & ¢3.17571E-06 & 92.67942E-06 & -. 53 \\
\hline \[
{ }^{32} \mathrm{~S}(\mathrm{n}, \mathrm{p})^{32} \mathrm{P}
\] & 11.03941E-03 & 10.90607E-03 & -1.21 \\
\hline \[
{ }^{103} \underset{\mathrm{Rh}\left(\mathrm{n}, \mathrm{n}^{\prime}\right)}{103 \mathrm{~m}} \mathrm{Rh}
\] & 22.65973E-02 & 22.56005E-02 & -. 44 \\
\hline 56 56 & & & \\
\hline \(\mathrm{Mn}(\mathrm{n}, \dot{\gamma}) \quad \mathrm{Mn}\) & 16.45159E-03 & 15.55907E-03 & . 66 \\
\hline \[
{ }^{115} \operatorname{In}(\mathrm{n}, \gamma)^{116} \operatorname{In}
\] & 18.961425-02 & 19.02178E-02 & . 32 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \mathrm{Au}\) & 28.51303E-02 & 28.02400E-02 & . 34 \\
\hline \[
115 \operatorname{In}(\mathrm{n}, \gamma)^{116} \operatorname{In}(\mathrm{Cd})
\] & 82.02075E-63 & \(81.00384 \mathrm{E}-03\) & -. 41 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma\) ) Au ( Cd\()\) & 28.47201E-02 & 28.50608E-02 & . 40 \\
\hline \[
{ }^{56} \operatorname{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}(\mathrm{Cd})
\] & 16.45102E-03 & 10.55842E-03 & .65 \\
\hline 197198 & & & \\
\hline \(\mathrm{Au}(\mathrm{n}, \gamma) \quad \mathrm{Au}\) & 28.47238E-02 & 28.50689E-02 & . 40 \\
\hline \[
{ }^{56} \mathrm{Mn}(\mathrm{n}, \gamma){ }^{56} \mathrm{Mn}
\] & 25.64156E-03 & 25.94367E-03 & 1.18 \\
\hline 56 , 56 & & & \\
\hline Mn( \(\mathrm{n}, \mathrm{Y}\) ) Mn ( Cd ) & 25.64099E-03 & 25.94242E-03 & 1.18 \\
\hline \[
{ }^{238}{ }_{U}(n, f)
\] & 52.77810 -03 & 52.09057E-03 & -1.30 \\
\hline \[
{ }^{238}{ }_{U(n, \gamma)}
\] & 14.17249E-02 & 14.15275E-02 & -. 14 \\
\hline 235 ( \({ }^{\text {f }}\) ) & & & \\
\hline \(\mathrm{U}(\mathrm{n}, \mathrm{f})\) & 10.00000E-01 & 10.00000E-01 & 0.00 \\
\hline 1.0 & \(66.87405 \mathrm{E}-92\) & 67.14190E-02 & . 40 \\
\hline
\end{tabular}

TABLE 5.30

NISUS and \(\Sigma \Sigma\) detailed material and geometrical data
\begin{tabular}{|c|c|c|}
\hline Description & NISUS & \(\Sigma \Sigma\) \\
\hline \multicolumn{3}{|l|}{Uranium shell} \\
\hline \begin{tabular}{l}
Outer Diameter \\
Thickness \\
Density
\end{tabular} & \[
\begin{aligned}
& 254.0 \mathrm{~mm} \\
& 48.26 \mathrm{~mm} \\
& 18.84 \mathrm{gm} / \mathrm{cm}^{3}
\end{aligned}
\] & \[
\begin{aligned}
245 & \pm 0.2 \mathrm{~mm} \\
50 & \pm 0.1 \mathrm{~mm} \\
18.92 & \pm 0.03 \mathrm{gm} / \mathrm{cm}^{3}
\end{aligned}
\] \\
\hline \multicolumn{3}{|l|}{Boron carbide shell} \\
\hline \begin{tabular}{l}
Thickness \\
Density \\
\({ }^{10}{ }_{B}\) Abundance
\end{tabular} & \[
\begin{aligned}
& 15 \pm 0.1 \mathrm{~mm} \\
& 1.58 \mathrm{gm} / \mathrm{cm}^{3} \\
& 19.78 \%
\end{aligned}
\] & \[
\begin{aligned}
15 & \pm 0.1 \mathrm{~mm} \\
1.499 & \pm 0.005 \mathrm{gm} / \mathrm{cm}^{3} \\
18.37 & \pm 0.04 \%
\end{aligned}
\] \\
\hline Moisture & - & \(\simeq 500 \mathrm{ppm}\) \\
\hline \multicolumn{3}{|l|}{Graphite reflector} \\
\hline \begin{tabular}{l}
Density \\
Moisture
\end{tabular} & \[
\begin{aligned}
1.722 & \pm 0.001 \mathrm{gm} / \mathrm{cm}^{3} \\
& \simeq 250 \mathrm{ppm}
\end{aligned}
\] & \[
1.60 \pm 0.02 \mathrm{gm} / \mathrm{cm}^{3}
\] \\
\hline
\end{tabular}

TABLE 5.31
Comparison in flux per unit lethargy
\begin{tabular}{|c|c|c|c|c|}
\hline Parameter & NISUS & \(\Sigma \Sigma\) & \[
\text { Difference }_{\%}^{*}
\] & References \\
\hline \[
\begin{gathered}
\text { Graphite density } \\
\left(\mathrm{gm} / \mathrm{cm}^{3}\right)
\end{gathered}
\] & 1.722 & 1.60 & +12 & Table 5.4 \\
\hline \[
\begin{aligned}
& \mathrm{B}_{4} \mathrm{C} \text { density } \\
& \left(\mathrm{gm} / \mathrm{cm}^{3}\right)
\end{aligned}
\] & 1.58 & 1.49 & +1 & Table 5.7 \\
\hline Uranium density ( \(\mathrm{gm} / \mathrm{cm}^{3}\) ) & 18.84 & 18.92 & < \(\pm .5\) & Table 5.9 \\
\hline \({ }^{10}\) B abundance (atom \%) & 19.78 & 18.37 & +1 & Table 5.16 \\
\hline
\end{tabular}

Note: * Above 67.4 keV
\(\mathrm{F}_{8} / \mathrm{F}_{5}\) in \(\Sigma \Sigma\) is \(1.3 \%\) less than that in NISUS. For the rest of the reactions, the difference between the reaction rate ratios is less than \(0.7 \%\). Fig. 5.5 shows a comparison of calculated reaction rate ratios for NISUS and \(\Sigma \Sigma\) based on GALAXY and ENDF/B-III data files.

\subsection*{5.13 Fission rate distribution}

The fission rate distributions in the natural uranium shell are shown in the Figures 5.6 and 5.7 for 10 and 20 mesh points respectively. It is seen that the thermal flux attenuates very rapidly due to absorption in the driver shell and the effective source is concentrated in the outer region; the inner region serves mainly to degrade the spectrum shape by inelastic scattering. The effect of boron carbide shell in the fission distribution is also shown, and it can be seen that the relative fission rate in the inner region with and without boron carbide shell differs by a factor of 1.5. The fission rate distribution within the uranium shell can be measured experimentally. Measurements of the ratio of fission rates on the inner and outer surfaces of the shells at various azimuthal angles are reported in Chapter 7.


Fig. 5.5 Comparison of calculated reaction rate ratios for NISUS and \(\Sigma \Sigma\) based on different files.


\section*{6. FISSION CHAMBER MEASUREMENTS IN NISUS}

Measurements of the absolute fission rates have been recently performed by using the absolute fission chambers. This is because the accuracy requirements for fast reactor fuels and materials dosimetry have surpassed the existing capabilities of fission foil activation measurements. The absolute fission rates are derived from the absolute counting of the fissions occurring in a known quantity of fissile material. Several corrections have to be made to the observed number of fission fragments in order to find the absolute fission rates. These corrections include the number of fragments lost due to alpha discrimination, absorption of fission fragments in the fissile material, fission in other isotopes than the principal one, dead time loss, and perturbation introduced from the fission chamber material such as neutron scattering and absorption, and also perturbation due to the access hole for electronic cables and gas tubing.

The absolute fission rate measurement has two distinct features: (a) determination of the isotopic mass of the fissionable deposits, and (b) recording with precision a known fraction of fission fragments originating within the deposits when exposed to a flux of neutrons.

\subsection*{6.1 Fissionable deposits}

A selection of 13 deposits were exposed at the centre of the NISUS standard neutron field. Five of these deposits came from the set of reference and working deposits belonging to the National Bureau of Standards (NBS), Washington. These deposits were mainly used in
the small, lightly constructed NBS double fission chamber \({ }^{(14)}\). The deposits were 12.7 mm diameter fissionable oxides prepared by vacuum evaporation. Deposit backings were 19.0 mm diameter polished platinum 0.13 mm thick disks.

Two of the deposits with diameter of 28.0 mm of fissile material on the platinum backing of 39.0 mm diameter came from AWRE, Aldermaston. These deposits are being extensively used for delayed neutron yield measurements. The remaining six deposits were specifically prepared for the University of London Reactor Centre (ULRC) at AERE, Harwell. These deposits were 20 mm diameter vacuum evaporated or painted in the case of the two thickest fissionable oxides on the backings of 42.0 mm diameter polished platinum.

\subsection*{6.2 Description of the ULRC fission chamber}

A special double fission ionization chamber was designed and constructed at the University of London Reactor Centre. The chamber consists of two independent fast ionization chambers with easily demountable deposits (Fig. 6.1). The deposits are positiondback-toback between two square aluminium plates each with holes larger than the area of the fissile material. The deposits are kept tight in position by four tiny screws at the corners of the aluminium plates. This sandwich of the aluminium holder and deposits is slid into the groove between the two anodes of the chamber. This arrangement makes exchanging of the deposits quite simple and quick with no need of special tools. When it is necessary, the holder of the deposits can be replaced by another one. This is particularly attractive when

SCALE ~ \(2 / 1\)


Fig. 6.1 The enlarged cross-sectional view of the ULRC double fission chamber.
several reactor runs are planned in a normal working day. The backings of the fissionable deposits serve as the common grounded electrode between the chambers. The anode disks parallel to the fissionable deposits are 32 mm in diameter and since they are 12 mm larger than the deposit diameter, the loss of fission fragments at the edges of the active volume is prevented. To reduce neutron absorption and scattering effects, the electrodes and structural elements are made of aluminium, and the insulators are made of a hydrogen-free polymer.

\subsection*{6.3 Chamber performance and operation \\ The ULRC chamber is operated with sealed gas, so tight} seals are necessary and " 0 " rings are used in the top and bottom lids. The chamber was evacuated down to 0.01 torr ( \(\simeq 10^{-5} \mathrm{~atm}\) ) and filled up with 1 atm P-10 gas ( \(90 \%\) argon, \(10 \%\) methane). In order to keep the air impurity to minimum, the chamber was filled the up and evacuated several times before final filling.

The chamber filling up and pumping down were performed through a nitrogen trap (Fig. 6.2) to condense any oil vapour coming from the pump which otherwise could migrate to the chamber and spoil the deposits. At very low pressure the probability of oil molecules travelling in either way is about equal. The nitrogen trap arrangement was proved to be necessary as after several runs, an appreciable amount of oil was observed in the trap.

\subsection*{6.4 Mass calibration of ULRC deposits}

The first task of the present fission chamber measurements was to make a mass comparison between the NBS, AWRE and ULRC deposits. In this comparison the masssof AWRE and ULRC deposits were calibrated against those of the NBS deposits. The mass assay of the NBS fissionable deposits originally used in the Coupled Fast Reactivity Measurement Facility (CFRMF) has been made by absolute alpha emission rates measurements complemented by fission comparison counting in thermal-neutron beams \({ }^{(14)}\) and also at the centre of the \(\Sigma \Sigma\) standard neutron field \({ }^{(100)}\).


Fig. 6.2 Block diagram of the fission chamber filiing system.

Several experiments were carried out in the NISUS central flux with the NBS and ULRC double fission chambers and the mass of the AWRE and ULRC fissionable deposits determined. In one experiment the AWRE and NBS ( \(25 \mathrm{~S}-2-3\) ) \({ }^{235} \mathrm{U}\) deposits were exposed in the ULRC chamber at the centr of NISUS. In another experiment the ULRC (No. 3) and NBS ( \(28 \mathrm{HD}-5-1\) ) \({ }^{238} \mathrm{U}\) deposits were used in the ULRC chamber. In these two measurements the masses of the AWRE \({ }^{235} \mathrm{U}\) and ULRC-3 \({ }^{238} \mathrm{U}\) deposits were calibrated against the NBS deposits and in the subsequent measurements the mass assay of the other AVRE and ULRC fissionable deposits was-made on the basis of these two measurements. Table 6.1 shows the isotopic concentrations and mass assay of the fissionable deposits exposed at the NISUS centre.

\subsection*{6.5 Corrections of pulse rates}

The pulse height distribution of the deposits has three principal features (Fig. 6.3):
(1) a very sharp peak near zero pulse height due to alpha activity, electronic noise, and energetic electrons.
(2) the valley in which the integral discriminator is set. (3) a very broad peak that rises sharply on the low pulse height side.

In order to find the true number of fissions occurring in the deposit when a chamber is exposed to a flux of neutrons, several corrections should be applied to the recorded number of fissions. These corrections include the fraction of fission pulses below alpha discriminator level, absorption of fission fragments in the deposits,

The fissionable deposits exposed at the centre of NISUS standard neutron field
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow[t]{2}{*}{Foil identification and principal isotope} & \multirow[t]{2}{*}{\begin{tabular}{l}
Deposit \\
diameter \\
(mm)
\end{tabular}} & \multirow{2}{*}{Isotopic concentration (atom percent)} & \multicolumn{2}{|l|}{Mass of principal isotope} \\
\hline & & & \(\mu \mathrm{gm}\) & \(\mu \mathrm{mm} / \mathrm{cm}^{2}\) \\
\hline NBS 49 I-1-1 \({ }^{239} \mathrm{Pu}\) & 12.7 & \[
\begin{aligned}
& { }^{239} \mathrm{Pu}: 99.11 ;{ }^{240} \mathrm{Pu}: 0.0880 ;{ }^{241} \mathrm{Pu}: 0.010 ; \\
& 242 \mathrm{Pu}: 0.005
\end{aligned}
\] & \(105.1 \pm 1.3 \%\) & 83.0 \\
\hline NBS 28 N-5-2 238 U (natural) & 12.7 & \({ }^{238} \mathrm{U}: 99.275 ;{ }^{235} \mathrm{U}: 0.72\) & \(686 \pm 1.4 \%\) & 541.5 \\
\hline NBS 25 S-2-3 \({ }^{2} 35{ }_{U}\) & 12.7 & \[
\begin{aligned}
& { }^{235} U: 99.748 ;{ }^{238} U: 0.1261 ;{ }^{234} U: 0.0608 ; \\
& { }^{236} U: 0.0652
\end{aligned}
\] & \(222 \pm 1.2 \%\) & 175.2 \\
\hline NBS 37 s-5-2 \({ }^{2.37} \mathrm{~Np}\) & 12.7 & \({ }^{237} \mathrm{~Np}\) : 99.3; \({ }^{239} \mathrm{Pu}: 0.68\) & \(630 \pm 1.8 \%\) & 497.3 \\
\hline NBS \(28 \mathrm{HD}-5-1{ }^{2} 38 \mathrm{U}\) (depleted) & 12.7 & \({ }^{238} \mathrm{U}: 99.999 ;{ }^{235} \mathrm{U}: \sim 0.0001\) & \(651 \pm 1.5 \%\) & 513.9 \\
\hline AWRE \(\quad 235 \mathrm{U}\) (enriched) & 28.0 & \({ }^{235} \mathrm{U}: 93.0 ;{ }^{238} \mathrm{U}\) : 7.0 & \(127.7 \pm 1.3 \%^{(a)}\) & 20.7 \\
\hline AWRE \(\quad 238 \mathrm{U}\) (depleted) & 28.0 & \({ }^{238} \mathrm{U}: 99.965 ;{ }^{235} \mathrm{U}: 0.035\) & \(1284.6 \pm 1.9 \%^{(b)}\) & 208.6 \\
\hline
\end{tabular}
```

TABLE 6.1 (continued)

```

The fissionable deposits exposed at the centre of NISUS standard neutron field
\begin{tabular}{|c|c|c|c|c|c|}
\hline \multicolumn{2}{|l|}{\multirow[t]{2}{*}{Foil identification and principal isotope}} & \multirow[t]{2}{*}{\begin{tabular}{l}
Deposit \\
diameter (mm)
\end{tabular}} & \multirow{2}{*}{Isotopic concentration (atom percent)} & \multicolumn{2}{|l|}{Mass of principal isotope} \\
\hline & & & & \(\mu \mathrm{gm}\) & \(\mu \mathrm{gm} / \mathrm{cm}^{2}\) \\
\hline ULRC-1 & 2388 & \(20.5 \pm .3\) & \({ }^{238}{ }_{\mathrm{U}}: 99.965 ;{ }^{235} \mathrm{U}: 0.035\) & \(3114.3 \pm 2.5 \%\) & 943.5 \\
\hline ULRC-2 & 238 U & \(20.6 \pm .3\) & \({ }^{238} \mathrm{U}\) : 99.965; \({ }^{235} \mathrm{U}: 0.035\) & \(3164.4 \pm 2.5 \%\) & 949.4 \\
\hline ULRC-3 & 238 & \(20.3 \pm .2\) & \({ }^{238}{ }_{U}\) : 99.965; \({ }^{235} \mathrm{U}: 0.035\) & \(780.6 \pm 1.9 \%\) & 241.2 \\
\hline ULRC-4 & 235 U & \(20.0 \pm .1\) & \({ }^{235} \mathrm{U}: 93.0 ;{ }^{238} \mathrm{U}\) : 7.0 & \(73.2 \pm 1.4 \%^{(c)}\) & 23.3 \\
\hline ULRC-5 & 235 U & \(20.0 \pm .1\) & \({ }^{235} \mathrm{U}: 93.0 ;{ }^{238} \mathrm{U}: 7.0\) & \(319.4 \pm 1.3 \%\) (d) & 101.7 \\
\hline ULRC-6 & 235 U & \(20.0 \pm .1\) & \({ }^{235} \mathrm{U}\) : \(93.0 ;{ }^{238} \mathrm{U}: 7.0\) & \(326.3 \pm 1.3 \%^{(e)}\) & 102.8 \\
\hline
\end{tabular}

Note: (a) Figure supplied by AWRE: 129 Mgm
(b) Figure supplied by ANRE: \(1270 \mu \mathrm{gm}\)
(c) Mass from \(2 \pi\) geometry alpha counting, AERE, Harwell: \(72.8 \mu \mathrm{gm}\)
(d) Mass from \(2 \pi\) geometry alpha counting, AERE, Harwell: 310.1 \(\mu \mathrm{gm}\)
(e) Mass from \(2 \pi\) geometry alpha counting, AERE, Harwell: \(316.1 \mu \mathrm{gm}\)


\section*{Fig. 6.3 Typical pulse height distribution for uranium.}
fission in other isotopes, neutron scattering and absorption, access hole perturbation, and dead time loss of the chamber.

\subsection*{6.5.1 Extrapolation-to-zero (ETZ)}

The most important correction is to determine the undetected number of fissions below discriminator level. The estimated fraction of fission pulses that lie in the range of discriminator to zero is termed the extrapolation-to-zero (ETZ) correction. There are three methods to find out the extrapolation-to-zero correction:
(1) Using only one discriminator and setting just above the alpha peak, the undetected number of fission is simply the area of the pulse height distribution below the discriminator level, assuming a flat distribution between the discriminator level and zero.
(2) White \({ }^{(101)}\) has suggested extrapolating of the lower tail of the fission peak to zero with no pulse-height flatness assumption. This method leads to a smaller value for ETZ than the first one, particularly for thick deposits.
(3) Each side of the dual fission chamber is monitored independently by a triple-scaler counting system. A charge-sensitive preamplifier, three integral discriminators, and three scalers constitute the main pulse-processing system. The relative positions of the discriminator levels to the peak of the pulse height distribution are established with the aid of the multichannel analyzer and a pulser.

The dual triple-scaler counting system originally developed at NBS \({ }^{(14)}\) and modified at MOL \({ }^{(100)}\) was reproduced for the present fission chamber measurements. There are several advantages to the chosen
arrangements of the dual triple-scaler counting systems (Fig. 6.4). The count rate above the lower discriminator level, \(V_{L}\), is called \(S_{L}\), and the count rate above the upper discriminator level, \(V_{U}\), is called \(S_{U}\). The positions (in volts) of these two disciminators relative to the peak of the pulse height distribution \(V_{\text {PEAK }}\) were always fixed carefully in such a way that \(V_{\mathrm{U}}=0.54 \mathrm{~V}_{\text {PEAK }}\) and \(\mathrm{V}_{\mathrm{L}}=0.36 \mathrm{~V}_{\text {PEAK }}\). The gain check discriminator level, \(V_{G C}\), was set so that \(V_{G C}=1.4 V_{\text {PEAK }}\) to get a sensitive monitor of the amplifier gain stability. The count \(S_{G C}\) serves as a gain check and also allows one to detect if eventual flashes of noise exceed \(V_{U}\), so that the corresponding counting result can be rejected: this has sometimes happened, and could essentially be attributed to the switching of reactor control instruments, and in particular, the operation of In-Core Irradiation System (ICIS); in such cases, the ratio \(S_{L} / S_{U}\) of count rates above \(V_{L}\) and \(V_{U}\) respectively was also perturbed in a characteristic way.

The difference in the counts \(S_{L}\) and \(S_{U}\) is used to infer the number of valid fission counts between \(V_{L}\) and zero on the basis of the assumption that the pulse height distribution is flat between zero and \(\mathrm{V}_{\mathrm{U}}\). The extrapolation-to-zero (ETZ) correction is the fraction of fission pulses in the range \(0<V<V_{L}\). According to Grund1 \({ }^{(14)} V_{L}\) is set at \((1 / 2) V_{U}\) and therefore the ETZ is \(\left(S_{L}-S_{U}\right) / S_{L}\) or \(\left(1-S_{U} / S_{L}\right)\). While Fabry \({ }^{(102)}\) takes \(S_{U}\) as primary counting data and sets \(V_{L}\) at (2/3) \(V_{U}\) and thus the \(E T Z\) is \(3\left(S_{L}-S_{U}\right) / S_{U}\) or \(3\left(S_{L} / S_{U}-1\right)\). The actual extrapolation-to-zero, which is slightly adjusted, may be obtained from the following recipe:


Fig. 6.4 Block diagram of one side of the dual triple-scaler counting system.
\[
\begin{equation*}
(E T Z)_{\text {applied }}=(E T Z)_{\text {nominal }}+\frac{1}{2}\left(3\left(S_{L} / S_{U}-1\right)-(E T Z)_{\text {nominal }}\right) \tag{6.1}
\end{equation*}
\]

The nominal ETZ values are either inferred from Grundl's data or from measurements under ideal count rate and signal-to-noise conditions. In the present work the method equivalent to Fabry's was followed and the ETZ values were taken as \(2\left(S_{L} / S_{U}-1\right)\), when applied to \(S_{L}\) as primary counting data. The peak-to-valley ratios of the pulse-height distribution (Fig. 6.3) vary from about 75 for a \(23 \mu \mathrm{~g} / \mathrm{cm}^{2}\) deposit to 38 for a \(103 \mu \mathrm{~g} / \mathrm{cm}^{2}\) deposit. Correspondingly, the correction for extrapolation of the pulse height distribution to zero varies from \(1.98 \%\) for a \(23 \mu \mathrm{~g} / \mathrm{cm}^{2}\) deposit to \(2.24 \%\) for a \(103 \mu \mathrm{~g} / \mathrm{cm}^{2}\) deposit. The extrapolation-to-zero correction for the NBS, AWRE and ULRC deposits exposed at the NISUS centre in the NBS and ULRC chambers are shown in Table 6.2. Fig. 6.5 shows a plot of the ETZ correction versus deposit thickness. The quantity plotted is \(2\left(S_{L} / S_{U}-1\right)\) in units of percent. The data show that the performance of the ULRC chamber is inferior to upper NBS chamber in two respects: (i) the slope of the line in Fig. 6.5 (ulrecturve) is much greater, (ii) the intercept for zero deposit thickness \(\lambda^{\text {shows }}\) an intercept of \(\sim 1 \%\). Because of the latter value the chamber may not be regarded as a truly absolute chamber. A possible reason may be in the method of holding the deposits, since an AWRE chamber which was similar in all other respects performed better.

\subsection*{6.5.2 Fission fragment absorption}

A small fraction of the fission fragments generated inside a deposit are emitted at angles close to the plane of the deposit and

TABLE 6.2
Typical ETZ corrections for the deposits exposed at the centre of NISUS
\begin{tabular}{|c|c|c|c|}
\hline \begin{tabular}{l}
Fission \\
chamber
\end{tabular} & Foil identification and principal isotope & \[
\begin{gathered}
\text { Mass } \\
\mu \mathrm{gm} / \mathrm{cm}^{2}
\end{gathered}
\] & Extrapolation-to-zero \\
\hline NBS & \begin{tabular}{l}
NBS 49 I-1-1 \(\quad{ }^{239} \mathrm{Pu}\) \\
NBS \(28 \mathrm{~N}-5-2{ }^{238} \mathrm{U}\) (natural) \\
NBS 25 S-2-3 \({ }^{235} \mathrm{U}\) \\
NBS 37 s-5-2 \({ }^{237}\) Np \\
NBS 28 HD-5-1 \({ }^{238} \mathrm{U}\) (depleted)
\end{tabular} & \[
\begin{array}{r}
83.0 \\
541.5 \\
175.2 \\
497.3 \\
513.9
\end{array}
\] & \[
\begin{aligned}
& 1.00776 \pm .00074 \\
& 1.05140 \pm .00390 \\
& 1.01102 \pm .00074 \\
& 1.02404 \pm .00142 \\
& 1.03026 \pm .00316
\end{aligned}
\] \\
\hline ULRC & \begin{tabular}{lll} 
NBS 25 & S-2-3 & \(235_{\mathrm{U}}\) \\
NBS & 28 & HD-5-1 \\
AKRE & \(238_{\mathrm{U}}\) (depleted) \\
AKRE & \(235_{\mathrm{U}}\) (enriched) \\
ULRC-1 & \(238_{\mathrm{U}}\) (dep1eted) \\
ULRC-2 & \(238_{\mathrm{U}}\) \\
ULRC-3 & \(238_{\mathrm{U}}\) \\
ULRC-4 & \(238_{\mathrm{U}}\) \\
ULRC-5 & \(235_{\mathrm{U}}\) \\
ULRC-6 & \(235_{\mathrm{U}}\) \\
& \(235_{\mathrm{U}}\)
\end{tabular} & \[
\begin{array}{r}
175.2 \\
513.9 \\
20.7 \\
208.6 \\
943.5 \\
949.4 \\
241.2 \\
23.3 \\
101.7 \\
102.8
\end{array}
\] & \[
\begin{aligned}
& 1.01996 \pm .00102 \\
& 1.04576 \pm .00390 \\
& 1.01256 \pm .00092 \\
& 1.02072 \pm .00174 \\
& 1.09204 \pm .00706 \\
& 1.14702 \pm .00352 \\
& 1.03184 \pm .00230 \\
& 1.01980 \pm .00192 \\
& 1.02014 \pm .00236 \\
& 1.02238 \pm .00322
\end{aligned}
\] \\
\hline
\end{tabular}


Fig. 6.5 The ETZ correction to zero pulse height. The lines are the linear least-squares fit.
may not escape before dissipating all their energy. In \(2 \pi\) geometry, the fraction \(F\) lost due to absorption is \(t / 2 R\), where \(t\) is the thickness of the deposit and \(R\) is the average fission fragment range in the deposit material (usually a dioxide). White (101) has shown that if the deposit thickness is not uniform the fraction \(F\) becomes \(\left(t^{2}+\sigma^{2}\right)^{\frac{1}{2}} / 2 R\) where \(t\) is the mean thickness and \(\sigma\) the standard deviation on the variation of the thickness.

White \({ }^{(101)}\) has calculated the mean range of fission fragment in \(\mathrm{U}_{3} \mathrm{O}_{8}\) as \(7.5 \pm 0.5 \mathrm{mg} / \mathrm{cm}^{2}\) and Grundl et al \({ }^{(14)}\) have taken the value of \(7.74 \pm 0.90 \mathrm{mg} \mathrm{U}_{3} \mathrm{O}_{8} / \mathrm{cm}^{2}\). They corrected this value for the difference in oxygen content \(i n \mathrm{UO}_{2}\) by assuming that the range (in \(\mathrm{mg} / \mathrm{cm}^{2}\) ) is proportional to \(\sqrt{\mathrm{A}}\), where A is the effective atomic mass evaluated according to the recipe \((A)^{\frac{1}{2}}=\sum_{j} n_{j} A_{j} / \sum_{j} n_{j}\left(A_{j}\right)^{\frac{1}{2}}\), and \(n_{j}\) are atom fractions. The resulting correction is \(0.69 \%\) per \(100 \mu \mathrm{gm} \mathrm{U} / \mathrm{cm}^{2}\) in \(\mathrm{UO}_{2}\). In the present work the fission fragment absorption correction was calculated on the basis of the Grundl's value. The estimated uncertainty in the absorption correction was taken to be \(25 \%\) of the correction or \(0.35 \%\), whichever is larger.

\subsection*{6.5.3 Fission in other isotopes}

No direct measurement has been made to estimate the correction for fission in isotopes other than the principal one. The corrections for NBS deposits were taken from Ref. (100). The corrections for AWRE and ULRC deposits were, however, based on the values of \(93 \%{ }^{235} \mathrm{U}\) and \(350 \mathrm{ppm}{ }^{235} \mathrm{U}\) in the \({ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\) deposits respectively, supplied by AWRE, Aldermaston and AERE, Harwell.

\subsection*{6.5.4 Neutron scattering and absorption}

The effect of neutron scattering and absorption has been measured by irradiating an In foil at the centre of NISUS using the conventional aluminium foil holder \({ }^{(103)}\). The results of the \({ }^{115} \mathrm{In}\left(\mathrm{n}, \mathrm{n}^{\prime}\right)\) and \({ }^{115} \mathrm{In}(\mathrm{n}, \gamma)\) reaction rates were compared with those of the similar measurement with the fission chamber where an In foil was sandwiched between the two back-to-back deposits (Table 6.3). These measurements were first carried out with uranium foils but due to high statistical error of about \(10 \%\), In foils were used instead. The choice of \(\operatorname{In}\) was because the \({ }^{115} \mathrm{In}\) ( \(n, n^{\prime}\) ) reaction has a threshold energy of about 1.4 MeV , almost the same as \({ }^{238} U(n, f)\) reaction, and \({ }^{115} \mathrm{In}(n, \gamma)\) reaction is a thermal reaction similar to the \({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\) reaction. It was found that the neutron scattering and absorption due to fission chamber body is negligible for \({ }^{235} \mathrm{U}\) fission rates, and that for the \({ }^{238} \mathrm{U}\) is less than \(1 \%\).

\subsection*{6.5.5 Access hole perturbation}

Fabry et al \({ }^{(100)}\) have shown that in \(\Sigma \Sigma\) the epicadmium hole corrections for non-threshold fission reactions do not exceed 1\% and are negligible for threshold reactions, in the usual conditions of NBS fission chamber exposures, e.g. hole axis parallel to reactor thermal column axis and looking outward reactor core. They have taken the value of \(.995 \pm .005\) for the \(\Sigma \Sigma\) access hole perturbation correction. This value applies to data taken under the condition of no thermal streaming.

In the early NBS fission chamber measurements carried out in NISUS, the thermal streaming effect of \(\simeq 1 \%\) was observed (see Section 6.7). The same streaming effect exists for the ULRC fission chamber measurements before the modification to the access hole (see Section 6.8). The access hole perturbation correction was found to be negligible after the modification, since the \({ }^{115} \operatorname{In}(n, \gamma)\) reaction rate measurement showed that the thermal neutron streaming effect is within the error of about \(\pm 2 \%\) (Table 6.3). Since no NBS fission

TABLE 6.3
Effect of flux depression by fission chamber and thermal
neutron streaming through the access hole*
\begin{tabular}{|l|c|c|c|}
\hline \multirow{2}{*}{ Reaction } & \multicolumn{2}{|c|}{ Reaction rate \({ }^{197} \mathrm{Au}(\mathrm{n}, \gamma)\)} & \multirow{2}{*}{ Difference } \\
\cline { 2 - 4 } & Without fission chamber & With fission chamber & \\
\hline \hline \(\operatorname{In}(\mathrm{n}, \gamma)\) & \(2.78658 \mathrm{E}-02 \pm 2.00 \%\) & \(2.82876 \mathrm{E}-02 \pm 1.70 \%\) & \(+1.5 \%\) \\
\(\operatorname{In}\left(\mathrm{n}, \mathrm{n}^{\prime}\right)\) & \(6.79736 \mathrm{E}-03 \pm .29 \%\) & \(6.74395 \mathrm{E}-03 \pm .29 \%\) & \(-0.8 \%\) \\
\hline
\end{tabular}

Note: * All errors shown are statistical errors only.
chamber measurements were made in NISUS after modification to the access hole only cadmium box data were for fBS chamber measurements.

\subsection*{6.5.6 Dead-time loss correction}

No correction has been applied for the dead time loss. This correction was estimated to be negligible since the count rate would never exceed 165 couns/sec. The dead time loss correction has been found to be less than \(0.1 \%\) for a typical NBS \(25 \mathrm{~S}-2-3\) deposit for \(\simeq 200\) counts \(/ \mathrm{sec}^{(100)}\).

\subsection*{6.5.7 Summary of the corrections}

Table 6.4 shows the summary of the corrections applied to the recorded counting rates, in order to obtain the true isotopic fission rates. In Table 6.4 the ETZ corrections for the NBS deposits are those obtained in the exposure of the NBS fission chamber, and those for the rest of the deposits in the ULRC chamber.

\subsection*{6.6 Reactor power monitoring}

Two mutually independent monitor systems have been used for reactor power monitoring:
1. two pulse fission chambers type FC4A/100/235 with sensitivity of \(3 \times 10^{-3} \mathrm{cps} / \mathrm{unit}\) flux
2. two Au foils in the graphite thermal column extension with the aim of checking the chambers' performance.

Corrections of the pulse rates to isotopic unperturbed fission rates of the NBS and ULRC fission chambers.
\begin{tabular}{|c|c|c|c|c|c|}
\hline Foil identifica:ion and principal isotope & Etrapolation-to-zero* & Absorption in deposit & Fission in other isotpoes & Neutron scattering and absorption & Access hole perturbation \\
\hline NBS \(49 \mathrm{I}-1-1{ }^{239} \mathrm{Pu}\) & \(1.0078 \pm .0007\) & \(1.0055 \pm .0035\) & 0.997 & 1.000 & \[
\begin{array}{r}
0.995 \\
\pm 0.005
\end{array}
\] \\
\hline NBS \(28 \mathrm{~N}-5-2{ }^{238} \mathrm{U}\) (natural) & \(1.0514 \pm .0039\) & \(1.0375 \pm .0095\) & 0.885 & \[
\begin{array}{r}
1.006 \\
\pm 0.003
\end{array}
\] & \[
\begin{array}{r}
1.000 \\
\pm 0.000
\end{array}
\] \\
\hline NBS 25 S-2-3 \({ }^{235} \mathrm{U}\) & \(1.0114 \pm .0009\) & \(1.0121 \pm .0035\) & 0.9995 & 1.000 & \[
\begin{array}{r}
0.995 \\
\pm 0.005
\end{array}
\] \\
\hline NBS 37 S-5-2 \({ }^{237} \mathrm{~Np}\) & \(1.0240 \pm .0014\) & \(1.0343 \pm .0080\) & 0.980 & \[
\begin{array}{r}
1.006 \\
\pm 0.003
\end{array}
\] & \[
\begin{array}{r}
1.000 \\
\pm 0.000
\end{array}
\] \\
\hline NBS 28 HD-5-1 \({ }^{238} \mathrm{U}\) (depleted) & \(1.0303 \pm .0032\) & \(1.0355 \pm .0090\) & 1.000 & \[
\begin{array}{r}
1.006 \\
\pm 0.003
\end{array}
\] & \[
\begin{array}{r}
1.000 \\
\pm 0.000
\end{array}
\] \\
\hline AWRE \({ }^{235} \mathrm{U}\) (enriched) & \(1.0126 \pm .0009\) & \(1.0014 \pm .0035\) & 0.996 & 1.000 & 1.000 \\
\hline AWRE \({ }^{238} \mathrm{U}\) (depleted) & \(1.0207 \pm .0017\) & \(1.0144 \pm .0036\) & 0.994 & 1.000 & 1.000 \\
\hline
\end{tabular}

TABLE 6.4 (continued)
Corrections of the pulse rates to isotopic unperturbed fission rates of the NBS and ULRC fission chambers.
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline Foil and & \begin{tabular}{l}
ifical:ion \\
pal isotope
\end{tabular} & Etrapolation-to-zero* & Absorption in deposit & Fission in other isotpoes & Neutron scattering and absorption & Access hole perturbation \\
\hline ULRC-1 & \({ }^{238} \mathrm{U}\) & \(1.0920 \pm .0071\) & \(1.0651 \pm .0163\) & 0.994 & 1.000 & 1.000 \\
\hline ULRC-2 & \({ }^{238}\) U & \(1.1470 \pm .0035\) & \(1.0655 \pm .0164\) & 0.994 & 1.000 & 1.000 \\
\hline ULRC-3 & \({ }^{238} \mathrm{U}\) & \(1.0318 \pm .0023\) & \(1.0166 \pm .0042\) & 0.994 & 1.000 & 1.000 \\
\hline ULRC-4 & \({ }^{235}\) U & \(1.0198 \pm .0019\) & \(1.0016 \pm .0035\) & 0.996 & 1.000 & 1.000 \\
\hline ULRC-5 & \({ }^{235}\) & \(1.0201 \pm .0024\) & \(1.0070 \pm .0035\) & 0.996 & 1.000 & 1.000 \\
\hline ULRC-6 & \({ }^{235}\) & \(1.0224 \pm .0032\) & \(1.0071 \pm .0035\) & 0.996 & 1.000 & 1.000 \\
\hline
\end{tabular}

Note: *The NBS deposits exposed in the NBS chamber and the AWRE and ULRC deposits in the ULRC chamber.

\subsection*{6.6.1 Fission chamber monitors}

The reactor power monitor chambers have been positioned in the graphite stack, with different distances with respect to the cadmium shutter. Details are shown in Fig. 6.6. These chambers were connected to two independent electronic systems so that the total number of fissions in each chamber could be accumulated over the length of irradiation. In order to check the performance of the chambers in short intervals, they also were connected to the dual triple-scaler counting system to get the monitor counts, \(S_{M}\), simultaneously with the double fission chamber counts, namely \(S_{L}, S_{U}\) and \(S_{G C}\). Fig. 6.7 shows a block diagram of one of the monitor fission chambers connected to one of the triple-scaler counting system.

It was found that the long term monitoring consistency may not be achieved with fission chambers due to drifting in the electronic system. Because of this drawback, it was necessary to adjust the gain and/or the discriminator levels or both from time to time to obtain a consistent result. Fig. 6.8 shows the electhat tronic system that was to get the monitor fission chamber pulseheight distribution to set up discriminator levels. A criterion was adopted for this adjustment \({ }^{(104)}\). If \(A, B, C, D\) and \(E\) are some specific points on the pulse height distribution (Fig. 6.9), then the variation of these points with channel number for different runs should essentially be a straight line. The points \(A, B, C, D\), and \(E\) are corresponding to the discriminator level, mid-point of the first peak, the two peaks, and mid-point of the second peak,


Fig. 6.6 Block diagram of the position details of the monitor fission chambers.


Fig. 6.7 Block diagram of the power monitor fission chamber connected to the triple-scaler counting system.


Fig. 6.8 Block diagram of the electronic system to get the monitor fission chamber pulse height distribution.
ssas 000Z/squnoo


Fig. 6.9 Typical pulse height distribution from the monitor fission chamber.
respectively. The departure of the point \(A\) from straight line indicates the drift in discriminator level. Fig. 6.10 shows the variation of these four points for two different runs with channel number.

\subsection*{6.6.2 Au foil monitors}

All fission chamber experiments were monitored with two Au foils irradiated in the NISUS thermal column extension. Fig. 6.11 shows the block diagram of the position details of the foil monitors. The foils were placed in the positions \(A\) and \(B\) of the square graphite plug and loaded in the hole 1 of the NISUS thermal column. Hole No. 1 was chosen because it is far away from the NISUS assembly, and also not close to the edge of the stack which is not suitable due to flux gradient effect.

The Au foil monitors were counted on a \(\mathrm{Ge}(\mathrm{Li})\) system and ECON II pulse height analyzer. The conversion gain of the multichannel analyzer was set in such a way that the 412 keV peak was almost in the middle of the 1024 channels. To analyze the data and to find the area under the peak, the classical peak method which simply subtracts the background from the total count was preferred to any fitting method, e.g. SAMPO (105). SAMPO tries to fit a Gausian distribution with two exponential tailings to the data input, while the upper side of the \(A u\) peak falls very sharply with no similarity to exponential. The computer program ACT was used (103) to calculate the saturated activity of the Au foils. The measured counts, irradiation time, decay time, counting time, half life,
Channel (Run 32)

Channe1 (Run 21)

Fig. 6.10 Variation of some specific points of the monitor chamber pulse height distribution with channel number. Point A shows a drift of about \(3 \%\) in the discriminator level.



DIMS. IN CM

Fig. 6.11 Block diagram of the position details of the Au foil monitors.
branching ratio and the efficiency of the detector were data and the reaction rate for each gold foil was calculated from the following relationship:
\(A_{s}=\frac{\lambda C}{\operatorname{Pn}\left(1-\exp \left(-\lambda t_{a}\right)\right) \exp \left(-\lambda t_{d}\right)\left(1-\exp \left(-\lambda t_{c}\right)\right)}\)
where \(A_{s}\) is the saturation activity per atom of the foil per second,
\(\lambda\) is the decay constant of the foil material,
C is the true number of counts on the foil,
\(P\) is the branching ratio,
\(\eta\) is the detector efficiency,
\(t_{a}\) is the irradiation time
\(t_{d}\) is the time interval between the end of irradiation and the start of counting,
\(t_{c}\) is the counting time on the foil.
The true number of counts on the foil is obtained from
\[
\begin{equation*}
C=\frac{\left(C_{o}-B\right) \mu t}{F_{d} F_{s}(1-\exp (-\mu t))} \tag{6.3}
\end{equation*}
\]
where \(C_{o}\) is the observed number of counts,
B is the natural background,
\(\mu\) is the absorption coefficient of the foil,
t is the foil thickness,
\(F_{d}\) is the correction factor for the flux depression,
\(F_{S}\) is the correction factor for the neutron self-shielding.

The absolute activity per atom of the foil per second is equal to:
\[
\begin{equation*}
A=\frac{A_{S} \times M}{W \times N_{0}} \tag{6,4}
\end{equation*}
\]
where \(M\) is the weight of the foil,
\(W\) is the atomic weight of the material,
\(N_{0}\) is the Avogadro's number.

In the calculation of the saturated activity of the gold foils, no correction has been applied for the foil self-absorption, flux depression, and neutron self-shielding since the \({ }^{197} \mathrm{Au}\) ( \(\mathrm{n}, \gamma\) ) monitor reaction rates are relative. The natural background has been found to be negligible and this correction was unnecessary.

\subsection*{6.6.3 Conclusions}

Table 6.5 shows the reproducibility and linearity of flux levels by means of the two independent monitoring systems in the course of fission rates measurements in NISUS. The results were obtained over a period of two months and hence reflect the stability of the systems. The variations in the fission chamber monitor 1 is about \(0.5 \%(1 \sigma)\) while that of the monitor 2 is \(\sim 2 \%\) (1 \(\sigma\) ). In the case of the Au foil monitors the variance for the foils in position \(A\) is \(1.3 \%\) and that of the foils in position \(B\) is \(1.5 \%\). In the present fission rate measurements both fission chamber 1 and Au foil A monitors were taken for reactor power monitoring.

Reactor power monitoring by means of fission chamber
and activation foil monitors \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow{3}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow[t]{3}{*}{\begin{tabular}{l}
Reactor power \\
KW
\end{tabular}} & \multicolumn{4}{|c|}{Fission chamber monitor Counts/sec} & \multicolumn{2}{|l|}{Au foil monitor Reaction rate/atom} \\
\hline & & \multicolumn{2}{|r|}{Monitor 1} & \multicolumn{2}{|c|}{Monitor 2} & Position A & Position B \\
\hline & & Average \({ }^{(\mathrm{b})}\) & Accumulated \({ }^{(c)}\) & Average \({ }^{(b)}\) & Accumulated (c) & \(\times 10^{-15}\) & \(x \cdot 10^{-16}\) \\
\hline 1 & 100 & \(1319.8 \pm .2\) & - & - & - & \(1.01518 \pm .13 \%\) & \(6.33411 \pm .17 \%\) \\
\hline 2 & " & \(1323.1 \pm .6\) & \(1322.8 \pm .5\) & \(548.1 \pm .5\) & \(547.2 \pm .3\) & \(1.06433 \pm .20 \%\) & \(6.59360 \pm .28 \%\) \\
\hline 3 & " & \(1323.0 \pm .8\) & \(1334.3 \pm .5\) & \(548.4 \pm .4\) & - & \(1.04381 \pm .24 \%\) & 6.43500 \(\pm .30 \%\) \\
\hline 4 & " & \(1323.9 \pm .6\) & \(1332.6 \pm .5\) & \(547.8 \pm 1.0\) & - & \(1.05964 \pm .21 \%\) & \(6.46140 \pm .44 \%\) \\
\hline 5 & " & \(1325.6 \pm .5\) & - & \(548.6 \pm .4\) & - & - & - \\
\hline 6 & " & \(1325.5 \pm .6\) & \(1316.7 \pm .5\) & \(546.9 \pm .4\) & - & \(1.02427 \pm .20 \%\) & \(6.28830 \pm .25 \%\) \\
\hline 7 & " & \(1316.5 \pm .6\) & - & - & \(533.6 \pm .3\) & \(1.00910 \pm .34 \%\) & \(6.22220 \pm .42 \%\) \\
\hline 8 & " & \(1313.3 \pm .7\) & \(1320.3 \pm .5\) & \(546.8 \pm .4\) & \(549.9 \pm .3\) & \(1.03506 \pm .31 \%\) & \(6.41212 \pm .40 \%\) \\
\hline 9 & " & \(1314.6 \pm .8\) & \(1310.7 \pm .5\) & \(547.2 \pm .5\) & - & \(1.02576 \pm .34 \%\) & \(6.30960 \pm .42 \%\) \\
\hline 10 & " & \(1323.9 \pm .6\) & - & \(545.1 \pm 1.0\) & \(530.8 \pm .3\) & \(1.01889 \pm .30 \%\) & 6.24562 \(\pm .39 \%\) \\
\hline 11 & " & \(1324.7 \pm .8\) & \(1347.4 \pm .7\) & \(543.6 \pm .6\) & \(553.0 \pm .5\) & \(1.03300 \pm .52 \%\) & \(6.33430 \pm .63 \%\) \\
\hline 12 & " & \(1323.9 \pm .8\) & - & \(543.9 \pm .7\) & - & \(1.04534 \pm .32 \%\) & \(6.36256 \pm .40 \%\) \\
\hline
\end{tabular}

TABLE 6.5 (continued)
Reactor power monitoring by means of fission chamber
and activation foil monitors \({ }^{\text {(a) }}\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{3}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow[t]{3}{*}{\begin{tabular}{l}
Reactor power \\
KW
\end{tabular}} & \multicolumn{4}{|c|}{Fission chamber monitor Counts/sec} & \multicolumn{2}{|l|}{Au foil monitor Reaction rate/atom} \\
\hline & & \multicolumn{2}{|r|}{Monitor 1} & \multicolumn{2}{|c|}{Monitor 2} & Position A & Position B \\
\hline & & Average \({ }^{(b)}\) & Accumulated \({ }^{(c)}\) & Average \({ }^{(b)}\) & Accumulated \({ }^{(c)}\) & X \(10^{-15}\) & \(\times 10^{-16}\) \\
\hline 13 & 100 & 1324.7 \(\pm .7\) & \(1326.6 \pm .3\) & \(543.4 \pm .3\) & \(544.6 \pm .2\) & 1.04862 \(\pm .17 \%\) & \(6.56091 \pm .20 \%\) \\
\hline 14 & " & \(1319.3 \pm .3\) & \(1322.5 \pm .2\) & \(541.8 \pm .3\) & \(543.2 \pm .2\) & \(1.02018 \pm .15 \%\) & \(6.31904 \pm .18 \%\) \\
\hline 15 & " & \(1330.1 \pm .6\) & \(1329.5 \pm .2\) & \(548.9 \pm .3\) & \(549.3 \pm .1\) & 1.04828 \(\pm .20 \%\) & \(6.26810 \pm .25 \%\) \\
\hline 16 & " & \(1343.9 \pm 2.4\) & - & \(550.0 \pm .4\) & \(550.6 \pm .2\) & 1.03266 \(\pm .26 \%\) & \(6.33448 \pm .32 \%\) \\
\hline 17 & " & \(1331.7 \pm .7\) & \(1336.1 \pm .9\) & \(550.0 \pm 1.1\) & \(551.6 \pm .6\) & \(1.04572 \pm .40 \%\) & \(6.40251 \pm .50 \%\) \\
\hline 18 & " & \(1330.3 \pm .5\) & \(1331.2 \pm .2\) & \(552.5 \pm .3\) & \(552.1 \pm .2\) & \(1.05003 \pm .21 \%\) & \(6.48148 \pm .25 \%\) \\
\hline 19 & " & \(1334.5 \pm .3\) & \(1333.9 \pm .2\) & \(568.2 \pm .2\) & \(567.9 \pm .2\) & \(1.03670 \pm .20 \%\) & \(6.35040 \pm .25 \%\) \\
\hline 20 & " & \(1333.3 \pm .7\) & \(1331.7 \pm .2\) & \(551.3 \pm .3\) & - & \(1.04583 \pm .30 \%\) & \(6.29871 \pm .40 \%\) \\
\hline 21 & " & \(1331.1 \pm 1.5\) & \(1331.9 \pm .2\) & \(550.1 \pm .5\) & \(550.5 \pm .2\) & \(1.02996 \pm .26 \%\) & \(6.34854 \pm .33 \%\) \\
\hline 22 & 10 & - & - & \(53.0 \pm .1\) & \(53.1 \pm .1\) & \(0.10514 \pm 1.70 \%\) & \(0.63256 \pm 2.23 \%\) \\
\hline 23 & 10 & - & - & \(53.3 \pm .3\) & \(53.6 \pm .1\) & \(0.10277 \pm 1.72 \%\) & \(0.62402 \pm 2.12 \%\) \\
\hline 24 & 100 & - & - & \(523.3 \pm .8\) & \(524.7 \pm .4\) & \(1.02745 \pm .64 \%\) & \(6.19959 \pm .85 \%\) \\
\hline
\end{tabular}

TABLE 6.5 (continued)
Reactor power monitoring by means of fission chamber and activation foil monitors \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[t]{3}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow[t]{3}{*}{\begin{tabular}{l}
Reactor \\
power \\
KW
\end{tabular}} & \multicolumn{4}{|c|}{Fission chamber monitor Counts/sec} & \multicolumn{2}{|l|}{Au foil monitor Reaction rate/atom} \\
\hline & & \multicolumn{2}{|r|}{Monitor 1} & \multicolumn{2}{|c|}{Monitor 2} & Position A & Position B \\
\hline & & Average \({ }^{(b)}\) & Accumulated \({ }^{(c)}\) & Average \({ }^{(b)}\) & Accumulated \({ }^{(c)}\) & \(\times 10^{-15}\) & \(\times 10^{-16}\) \\
\hline 25 & 100 & \(1323.2 \pm .4\) & - & \(525.1 \pm .3\) & - & \(1.02032 \pm .24 \%\) & 6.30304 \(\pm .30 \%\) \\
\hline 26 & " & \(1325.4 \pm .5\) & \(1325.9 \pm .2\) & \(526.3 \pm .3\) & \(526.9 \pm .2\) & \(1.02924 \pm .22 \%\) & \(6.32180 \pm .30 \%\) \\
\hline 27 & 25 & \(337.6 \pm .6\) & \(338.7 \pm .3\) & \(133.9 \pm .4\) & \(134.6 \pm .2\) & \(0.27086 \pm .85 \%\) & \(1.63774 \pm 1.04 \%\) \\
\hline 28 & 100 & \(1327.4 \pm 2.1\) & \(1326.2 \pm .9\) & \(526.3 \pm .5\) & \(525.7 \pm .5\) & \(1.03439 \pm .80 \%\) & \(6.37539 \pm 1.02 \%\) \\
\hline 29 & " & \(1327.3 \pm 1.3\) & \(1333.1 \pm .2\) & \(526.2 \pm .8\) & \(529.7 \pm .4\) & \(1.03004 \pm .60 \%\) & \(6.33221 \pm .73 \%\) \\
\hline 30 & 20 & - & \(273.0 \pm .4\) & - & \(108.8 \pm .2\) & \(0.21533 \pm 1.10 \%\) & \(1.30559 \pm 1.33 \%\) \\
\hline 31 & 100 & \(1336.4 \pm .7\) & - & \(548.0 \pm 2.0\) & \(542.7 \pm .2\) & - & - \\
\hline 32 & " & \(1339.8 \pm .6\) & \(1338.9 \pm .2\) & \(553.1 \pm .6\) & \(552.7 \pm .2\) & \(1.04992 \pm .16 \%\) & \(6.49251 \pm .20 \%\) \\
\hline 33 & " & \(1326.4 \pm .8\) & \(1326.5 \pm .2\) & \(544.7 \pm 1.5\) & \(545.7 \pm .2\) & \(1.02977 \pm .16 \%\) & 6.31024 \(\pm .20 \%\) \\
\hline
\end{tabular}

Note: (a) All errors shown are statistical random errors only (10).
(b) Average over several intervals, e.g. every 5 min.
(c) Accumulated over the length of irradiation.

The linearity and normalization of the reactor power is shown in Table 6.6.

\subsection*{6.7 Central NISUS fission rate measurements with an NBS chamber \\ The first accurate measurements of fission rates in the NISUS} facility by means of the NBS fission chamber have been performed during the visit by A. Fabry of Mol, Belgium, to ULRC, with collaboration of J:G. Williams and A.H.M.A. Hannan. These measurements including \({ }^{239} \mathrm{Pu},{ }^{237} \mathrm{~Np},{ }^{235} \mathrm{U}\), and \({ }^{238} \mathrm{U}\) fissionable deposits were carried out with the Ortec electronics specifically brought from Mol. The ULRC fission chamber measurements were performed with the Harwell 2000 Series electronic system which has been used at ULRC for some time. It was found, however, that there is no significant difference between the two systems as far as the fission rate measurement are concerned.

The NBS fission chamber measurements were performed with a cadmium "umbrella" to shield against thermal neutron penetration through the access hole (Fig. 6.12). In the first experiment the chamber was accidentally off-centred by 2.5 mm , and the fission ratio of \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) was found to be 21.61 with a discrepancy of about \(+3.6 \%\) compared with that of \(\Sigma \Sigma\). The corrections of \(0.2 \%\) and \(0.4 \%\) had consequently to be applied to the \({ }^{239} \mathrm{Pu}\) and \({ }^{238} \mathrm{U}\) fission rates respectively observed in this run. These corrections were deduced from an array of activation rate traverses through the central exposure zones in NISUS and \(\Sigma \Sigma^{(106)}\). In the second run the \({ }^{237}{ }_{\mathrm{Np}} /{ }^{235} \mathrm{U}\) ratio was measured to be 0.3783 with a discrepancy of \(-0.98 \%\) compared with 0.380 , the value for the \(\Sigma \Sigma \mathrm{F}_{7} / \mathrm{F}_{5}\) ratio. The \({ }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U}\) fission

\section*{Reactor power normalization}
\begin{tabular}{|c|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{3}{*}{\begin{tabular}{l}
Reactor power \\
KW
\end{tabular}} & \multicolumn{4}{|c|}{Fission chamber monitor} & \multicolumn{4}{|c|}{Au foil monitor} \\
\hline & \multicolumn{2}{|l|}{Monitor 1} & \multicolumn{2}{|l|}{Monitor 2} & \multicolumn{2}{|l|}{Position A} & \multicolumn{2}{|l|}{Position B} \\
\hline & Counts/sec & Normalized & Counts/sec & Normalized & Reaction rate/atom \(\times 10^{-15}\) & Normalized & Reaction rate/atom \(\times 10^{-16}\) & Normalized \\
\hline 10 & - & - & 53.2 & . 098 & . 10396 & . 100 & . 62829 & . 099 \\
\hline 20 & 273.0 & . 206 & 108.8 & . 200 & . 21533 & . 208 & 1.30559 & . 205 \\
\hline 25 & 337.6 & . 255 & 133.9 & . 246 & . 20786 & . 262 & 1.63774 & . 258 \\
\hline 100 & 1326.5 & 1.000 & 544.3 & 1.000 & 1.03531 & 1.000 & 6.35918 & 1.000 \\
\hline
\end{tabular}


Fig. 6.12 Cross-sectional sketch of the NBS fission chamber in NISUS.
ratio implied \(l_{y}\) these two measurements and the value of 1.228 was found \({ }^{\text {to le }}+4.5 \%\) higher than 1.175 , that of \(\Sigma \Sigma\). In the third run the \({ }^{237} \mathrm{~Np} /{ }^{235} \mathrm{U}\) fission ratio was measured with the NBS chamber under a 1 mm cadmium cover and the \(\mathrm{F}_{7} / \mathrm{F}_{5}\) ratio was found to be 0.3805 with a discrepancy of \(0.1 \%\) compare with that of \(\Sigma \Sigma\). The results showed that the fission rates of \({ }^{237} \mathrm{~Np}\) and \({ }^{235} \mathrm{U}\) are about \(0.4 \%\) and \(1 \%\) lower than those of the bare chamber, respectively. The \(0.4 \%\) difference in the \({ }^{237}{ }^{N}\) p fission rate which is a threshold detector is the effect of cadmium down-scattering perturbation. In run 4 the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission rate measurement was performed with a bare chamber and the value of \(\mathrm{F}_{8} / \mathrm{F}_{5}=0.05669\) was obtained. The higher fission rates in \({ }^{239} \mathrm{Pu}\) and \({ }^{235} \mathrm{U}\) deposits were found to be due to thermal neutron streaming through the access hole. The access hole is shielded against thermal neutron perturbation by using a uranium plug and cadmium pieces. Although the plug is kept tight in the access hole, such is not the case neutronically, i.e. there is a penetration through the aluminium cladding of the boron carbide shell. There also exists the possibility of thermal neutron streaming through central hole of the plug for electronic cables and gas tubing. Measurements in \(\Sigma \Sigma\) have shown \({ }^{(102)}\) this component to be negligible. The thermal neutron streaming was proved by performing three more experiments (runs 7 to 9 ) with \({ }^{239} \mathrm{Pu}\) and \({ }^{238} \mathrm{U}\) deposits. In runs 7 and 8 the \({ }^{238} \mathrm{U}\) fission rates were not obtained due to chamber malfunctioning. In run 7 the \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) fission ratio was measured by placing the bare chamber exactly at the centre of NISUS, and the value of 21.29 was found for \(\mathrm{F}_{9} / \mathrm{F}_{8}\).

The \({ }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U}\) fission ratio for bare chamber deduced from runs 2 and 7 was, 1.197 with a discrepancy of \(\sim 1.9 \%\) compared with that of \(\Sigma \Sigma\). In run 8 the same measurement repeated with the NBS chamber under 1 mm cadmium box. The \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) fission ratio was measured to be 20.72 with a discrepancy of about \(0.6 \%\) compared with that of \(\sum \Sigma\left(\mathrm{Fg}_{9} / \mathrm{F}_{8}=20.85\right)\). The ratio of \(\mathrm{F}_{9} / \mathrm{F}_{5}\) was then deduced as 1.177 with a discrepancy of less than \(0.2 \%\) compared with 1.175 , the corresponding ratio in \(\Sigma \Sigma\). In run 9 the inner cadmium screen (umbrella) was moved inwards so that the "umbrella" was at \(\sim 2 \mathrm{~cm}\) from NISUS centre (Fig. 6.12b). The \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) fission ratio measurement was performed under the new conditions and the value of 20.90 was obtained for \(\mathrm{F}_{9} / \mathrm{F}_{8}\). Agreement between this value and the value obtained with Cd box shows that the thermal neutrons observed with the bare chamber were indeed coming from the direction of the access hole. The \({ }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U}\) fission ratio was infrred. from runs \(3\left({ }^{235} \mathrm{U}\right)\) and \(9\left({ }^{239} \mathrm{Pu}\right)\) and found to be 1.186 . The \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio from runs \(3\left({ }^{235} \mathrm{U}\right)\) and \(4\left({ }^{238} \mathrm{U}\right)\) was found to be 0.05735 with a discrepancy of \(1.7 \%\) compared with 0.05636 , that of \(\Sigma \Sigma\).

The effect of thermal neutron streaming through the access hole in the fission rate measurements with the NBS fission chamber is shown in Table 6.7 in comparison with \(\Sigma \Sigma\). It is worth noting that all the NBS fission chamber measurements were performed at the reactor power of 100 kW but for short irradiation times, namely a couple of hours, to make it possible to have several runs in a normal working day. It was found that for such short intervals
the monitor chamber was more reliable than the Au foil monitor because of the low activity of the foils and the likelihood of systematic error in timing. This error, if any, was not applicable to the fission chamber monitor where the counts were recorded every 5 minutes and the average was made over several intervals. Thus the fission ratios in Table 6.7 are those on the basis of monitor chamber.

\section*{TABLE 6.7}

The effect of thermal neutron streaming through the access hole in the fission ratio measurements with the NBS fission chamber
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Fission ratio} & \multicolumn{3}{|c|}{NISUS} & \multirow[b]{2}{*}{\(\Sigma \Sigma\)} \\
\hline & Bare chamber & Cd unbre11a & \[
\begin{aligned}
& \mathrm{Cd} \\
& \text { box }
\end{aligned}
\] & \\
\hline \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) & 21.29 & 20.90 & 20.72 & 20.85 \\
\hline \({ }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U}\) & 1.197 & 1.186 & 1.177 & 1.175 \\
\hline \({ }^{237}{ }_{\mathrm{Np}} /{ }^{235} \mathrm{U}\) & . 3783 & - & . 3805 & . 380 \\
\hline \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) & . 05669 & - & . 05735 & . 05636 \\
\hline
\end{tabular}
6.8 Central NISUS fission rate measurements with the ULRC chamber Since the thermal neutron streaming through the access hole was proved in the course of the NBS fission chamber measurements, it was decided to modify the hole to reduce streaming effect to a minimum. The modification was to fix an annular piece of cadmium around the inner edge of the access hole on the boron carbide shell (Fig. 6.13) so that any thermal neutron streaming through the Al cladding was shielded against. On the other hand a cadmium cover was fixed on the inner surface of the uranium plug with a small hole as large as the thickness of the cables to keep the thermal neutron streaming to a minimum. In order to investigate the effect of streaming after the modification two experiments were made with In foils. In one experiment an In foil sandwiched between the two deposits of the fission chamber and in another experiment the foil was irradiated with the aluminium foil holder by using the solid uranium plug with no hole. The results of the \({ }^{115} \mathrm{In}(n, \gamma)\) reaction rate measurements from these two experiments showed that the thermal neutron streaming effect is within the experimental error (Table 6.3).

The central NISUS fission rate measurements in the ULRC fission chamber were carried out with two NBS (25S-2-3 and 28 HD-5-1), AWRE and ULRC deposits. In the first set of these measurements the deposits were used in different combinations for mass comparison purposes (see Section 6.4). Two experiments were carried out with \({ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\) activation foils wrapped in an aluminium catcher and sandwiched between the two back-to-back \({ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\) deposits. From these two measurements the average \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio was


Fig. 6.13 Modification to the access hole.
found \({ }^{(103)}\) to be \(.05781 \pm 1.9 \%\) (random) for the foils compared with \(0.05533 \pm .17 \%\) (random) that from the ULRC fission chamber with the discrepancy of \(+4.5 \%\). Some experiments were made with track recorders to determine the optical efficiency of the SSTR and to make a comparison between the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios obtained by the SSTR and fission chamber (see Chapter 7).

\subsection*{6.9 Summary and conc1usions}

The summary of the fission rates measurements in NISUS with the NBS, AWRE and ULRC deposits in the NBS and the ULRC fission chambers is shown in Table 6.8. The first 9 runs (except run 6) were performed with the NBS chamber and the rest with the ULRC chamber. In run Nos. 6 and 12 the ULRC chamber was used to calibrate the AWRE and ULRC deposits against those of the NBS.

In each run the fission rate for each deposit was derived from the \(S_{L}\) count rate, the number of counts above \(V_{L}\) discriminator, by taking the extrapolation-to-zero as \(2\left(\mathrm{~S}_{\mathrm{L}} / \mathrm{S}_{U}-1\right)\) and applying the corrections listed in Table 6.4. The maximum discrepancy for the ETZ correction between the NBS and the ULRC chambers is \(1.5 \%\) for the same deposits. This is because of the geometrical difference between the two chambers and probably due to the larger distance ( 5 mm ) between the deposits and the anodes in the ULRC chamber than that of the NBS chamber ( \(\simeq 4 \mathrm{~mm}\) ).

The reproducibility of the ETZ correction for different runs was found to be within \(0.1 \%\) for the NBS fission chamber, and that of the ULRC chamber varies from \(0.5 \%\) to \(1.7 \%\) for different deposits.

Summary of the experimental components for the exposures of the NBS and ULRC fission chambers at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|}
\hline Foil identification and principal isotope & \[
\begin{aligned}
& \text { Run } \\
& \text { No. }
\end{aligned}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \(S_{L} / S_{U}\) & ETZ & \[
\begin{gathered}
\text { Fission rate/atom } \\
\times 10^{(a)}
\end{gathered}
\] \\
\hline \multirow[t]{4}{*}{NBS 49 I-1-1 \({ }^{239} \mathrm{Pu}\)} & \(1{ }^{(b)}\) & \(64.17 \pm .14\) & \(1.00339 \pm .00042\) & \(1.00678 \pm .00084\) & \(24.3304 \pm .22 \%\) \\
\hline & 7 & \(62.37 \pm .15\) & \(1.00375 \pm .00041\) & \(1.00750 \pm .00082\) & \(23.6648 \pm .24 \%\) \\
\hline & \(8{ }_{8}(\mathrm{c})\) & \(60.55 \pm .11\) & \(1.00388 \pm .00037\) & \(1.00776 \pm .00074\) & \(22.9802 \pm .18 \%\) \\
\hline & \(9^{(d)}\) & \(61.04 \pm .20\) & \(1.00449 \pm .00020\) & \(1.00898 \pm .00040\) & \(23.1942 \pm .33 \%\) \\
\hline \multirow[t]{2}{*}{NBS \(28 \mathrm{~N}-5-2{ }^{238} \mathrm{U}\) (natural)} & \(1{ }^{\text {(b) }}\) & \(20.13 \pm .07\) & \(1.02570 \pm .00195\) & \(1.05140 \pm .00390\) & \(1.1261 \pm .35 \%\) \\
\hline & \(9^{(d)}\) & \(19.81 \pm .08\) & \(1.02665 \pm .00124\) & \(1.05330 \pm .00248\) & \(1.1102 \pm .40 \%\) \\
\hline \multirow[t]{4}{*}{NBS \(25 \mathrm{~S}-2-3{ }^{235} \mathrm{U}\)} & \[
2
\] & \(111.07 \pm .13\) & \(1.00557 \pm .00040\) & \(1.01114 \pm .00080\) & \(19.8673 \pm .12 \%\) \\
\hline & 3 (c) & \(110.00 \pm .19\) & \(1.00551 \pm .00037\) & \(1.01102 \pm .00074\) & \(19.6736 \pm .17 \%\) \\
\hline & 4 & \(111.33 \pm .12\) & \(1.00557 \pm .00046\) & \(1.01114 \pm .00092\) & \(19.9138 \pm .11 \%\) \\
\hline & 6 & \(110.68 \pm .21\) & \(1.00998 \pm .00051\) & \(1.01996 \pm .00102\) & \(20.0706 \pm .19 \%\) \\
\hline \multirow[t]{2}{*}{NBS \(37 \mathrm{~S}-5-2{ }^{237} \mathrm{~Np}\)} & 2 & \(115.24 \pm .11\) & \(1.01202 \pm .00071\) & \(1.02404 \pm .00142\) & \(7.5160 \pm .10 \%\) \\
\hline & 3 (c) & \(114.79 \pm .16\) & \(1.01190 \pm .00080\) & \(1.02380 \pm .00160\) & \(7.4849 \pm .14 \%\) \\
\hline
\end{tabular}

Sumary of the experimental components for the exposures of the NBS and ULRC fission chambers at NISUS centre


TABLE 6.8 (continued)
Summary of the experimental components for the exposures of the NBS and ULRC fission chambers at NISUS centre


TABLE 6.8 (continued)
Summary of the experimental components for the exposures of the NBS and ULRC fission chambers at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|}
\hline \begin{tabular}{c} 
Foil identification \\
and principal isotope
\end{tabular} & \begin{tabular}{c} 
Run \\
No.
\end{tabular} & \begin{tabular}{c}
\(\mathrm{S}_{\mathrm{L}}\) \\
(cps)
\end{tabular} & \(\mathrm{S}_{\mathrm{L}} / \mathrm{S}_{\mathrm{U}}\) & ETZ & \begin{tabular}{c} 
Fission rate/atom \\
X 10
\end{tabular} \\
\hline \hline & 24 & \(161.92 \pm .27\) & \(1.01045 \pm .00073\) & \(1.02090 \pm .00146\) & \(19.8268 \pm .17 \%\) \\
& 25 & \(160.98 \pm .21\) & \(1.01780 \pm .00042\) & \(1.03560 \pm .00084\) & \(19.9956 \pm .13 \%\) \\
& \({ }^{27}(\mathrm{f})\) & \(41.75 \pm .21\) & \(1.01179 \pm .00087\) & \(1.02358 \pm .00174\) & \(5.1195 \pm .50 \%\) \\
& 28 & \(163.72 \pm .34\) & \(1.01077 \pm .00086\) & \(1.02154 \pm .00172\) & \(20.0598 \pm .21 \%\) \\
& 29 & \(163.05 \pm .33\) & \(1.01022 \pm .00034\) & \(1.02044 \pm .00068\) & \(19.9562 \pm .20 \%\) \\
\hline
\end{tabular}

Note:
(a) Errors shown are statistical sampling errors only (lo)
(b) The chamber was accidentally off-centred by 2.5 mm
(c) Cadmium box
(d) Cadmium unbrella
(e) Reactor power 10 kW
(f) Reactor power 25 kW
* Mass calibration run for this deposit. Fission rate not included in the mean.

It was found that in the ULRC chamber the positions of the two electrodes are not exactly identical with respect to the deposit holder. This means that the side with larger distance between the anode and the deposit gives higher ETZ than the other side because the number of undetected fragments is increased. The reproducibility of the \(E T Z\) correction for each side does not exceed 1.2\%. It is, however, clear that the value of ETZ correction does not matter if a proper estimate of the undetected fission fragments is carried out. Table 6.8 shows that the variation : of the fission rates per atom for all deposits in different runs is about \(1 \%\). In Table 6.9 the fission per monitor ratios are shown both for the monitor chamber and the \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{Y})\) reaction. It is seen that the variztion of the fission rate per atom per monitor chamber is \(\sim 1 \%\) and that of the fission rate per \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{Y})\) reaction is about \(2 \%\). Since the consistency of the monitors was about \(\cdots\) this order of magnitude, one finds that there is a good agreement between the results of more than 25 runs.

The \({ }^{235} \mathrm{U}\) fission rates obtained with the bare ULRC chamber in run Nos. 6 and 12 are subject to \(\sim 1 \%\) correction due to thermal neutron streaming effect since these runs were performed before modification to the access hole. This correction has not been applied to the relevant fission/monitor ratios shown in Table 6.9. The values of fission rates in \(\Sigma \Sigma^{(100)}\) carry corrections of \(+0.6 \%\) for chamber moderation on \({ }^{237} \mathrm{~Np}\) and \({ }^{238} \mathrm{U}\) and - \(0.5 \%\) for epicadmium streaming on \({ }^{239} \mathrm{Pu}\) and \({ }^{235} \mathrm{U}\). To be consistent the same corrections have been made to the NBS chamber data in NISUS. The values for

Summary of the fission/monitor ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Foil identification and principal isotope} & \multirow[b]{2}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Fission rate/atom } \\
\times 10^{-17}
\end{gathered}
\]} & \multicolumn{2}{|r|}{Monitor} & \multicolumn{2}{|l|}{Fission rate/monitor} \\
\hline & & & Monitor chamber (cps) & \(197 \mathrm{Au}(\mathrm{n}, \mathrm{y})\)
Reaction rate/atom
\(\times 10^{-15}\) & Monitor chamber & \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{Y})\) \\
\hline \multirow[t]{4}{*}{NBS \(49 \mathrm{I}-\mathrm{I}-1{ }^{239} \mathrm{Pu}\)} & \(1{ }^{\text {(b) }}\) & \(24.3304 \pm .22 \%\) & \(1319.8 \pm .02 \%\) & \(1.01518 \pm .13 \%\) & \(18.43491 \pm .22 \%\) & . \(23966 \pm .26 \%\) \\
\hline & 7 & \(23.6648 \pm .24 \%\) & \(1316.5 \pm .05 \%\) & \(1.00910 \pm .34 \%\) & \(17.97554 \pm .25 \%\) & . \(23452 \pm .42 \%\) \\
\hline & \(8^{(c)}\) & \(22.9802 \pm .18 \%\) & \(1313.3 \pm .05 \%\) & \(1.03506 \pm .31 \%\) & \(17.49781 \pm .19 \%\) & . \(22202 \pm .36 \%\) \\
\hline & \(9^{(d)}\) & \(23.1942 \pm .33 \%\) & \(1314.6 \pm .06 \%\) & \(1.02576 \pm .34 \%\) & \(17.64354 \pm .34 \%\) & . \(22612 \pm .47 \%\) \\
\hline \multirow[t]{2}{*}{NBS \(28 \mathrm{~N}-5-2{ }^{238} \mathrm{U}\) (natural)} & \(1{ }^{\text {(b) }}\) & \(1.1261 \pm .35 \%\) & \(1319.8 \pm .02 \%\) & \(1.01518 \pm .13 \%\) & . \(85324 \pm .35 \%\) & . \(01109 \pm .37 \%\) \\
\hline & \(9^{\text {(d) }}\) & \(1.1102 \pm .40 \%\) & \(1314.6 \pm .06 \%\) & \(1.02576 \pm .34 \%\) & . \(84452 \pm .40 \%\) & . \(01082 \pm .52 \%\) \\
\hline \multirow[t]{4}{*}{NBS 25 S-2-3 \({ }^{235} \mathrm{U}\)} & \[
2_{(n)}
\] & \(19.8673 \pm .12 \%\) & \(1323.1 \pm .05 \%\) & \(1.06433 \pm .20 \%\) & 15.01572 \(\pm .13 \%\) & . \(18666 \pm .23 \%\) \\
\hline & \(3^{(c)}\) & \(19.6736 \pm .17 \%\) & \(1323.0 \pm .06 \%\) & \(1.04381 \pm .24 \%\) & \(14.87045 \pm .18 \%\) & . \(18848 \pm .29 \%\) \\
\hline & 4 & \(19.9138 \pm .11 \%\) & \(1323.9 \pm .05 \%\) & \(1.05964 \pm .21 \%\) & 15.04177 \(\pm .12 \%\) & . \(18793 \pm .24 \%\) \\
\hline & 6 & \(20.0706 \pm .19 \%\) & \(1325.5 \pm .05 \%\) & \(1.02427 \pm .20 \%\) & \(15.14191 \pm .20 \%\) & . \(19595 \pm .28 \%\) \\
\hline \multirow[t]{2}{*}{NBS \(37 \mathrm{~s}-5-2{ }^{237} \mathrm{~Np}\)} & 2 & \(7.5160 \pm .10 \%\) & 1323.1 \(\pm .05 \%\) & \(1.06433 \pm .20 \%\) & \(5.68060 \pm .11 \%\) & . \(07062 \pm .22 \%\) \\
\hline & 3 (c) & \(7.4849 \pm .14 \%\) & \(1323.0 \pm .06 \%\) & \(1.04381 \pm .24 \%\) & 5.657,52 \(\pm .15 \%\) & . \(07171 \pm .32 \%\) \\
\hline
\end{tabular}

Summary of the fission/monitor ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)


Summary of the fission/monitor ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multicolumn{2}{|l|}{\multirow[b]{2}{*}{Foil identification and principal isotope}} & \multirow[b]{2}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow[b]{2}{*}{Fission rate/atom
\[
\times 10^{-17}
\]} & \multicolumn{2}{|r|}{Monitor} & \multicolumn{2}{|l|}{Fission rate/monitor} \\
\hline & & & & Monitor chamber (cps) & \[
\begin{array}{|c|}
\hline 197 \mathrm{Au}(\mathrm{n}, \gamma) \\
\text { Reaction rate/atom } \\
\times 10^{-15}
\end{array}
\] & Monitor chamber & \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{Y})\) \\
\hline \multicolumn{2}{|l|}{\multirow{4}{*}{ULRC-4 2}} & 25 & \(1.0963 \pm .34 \%\) & \(1323.2 \pm .03 \%\) & \(1.02032 \pm .24 \%\) & . \(82852 \pm .34 \%\) & . \(01074 \pm .42 \%\) \\
\hline & & 26 & \(1.0965 \pm .19 \%\) & 1325.4 \(\pm .04 \%\) & \(1.02924 \pm .22 \%\) & . \(82730 \pm .19 \%\) & . \(01065 \pm .29 \%\) \\
\hline & & \(14^{*}\) & \(20.2521 \pm .19 \%\) & 1319.3 \(\pm .02 \%\) & \(1.02018 \pm .15 \%\) & 15.35064 \(\pm .19 \%\) & . \(19851 \pm .24 \%\) \\
\hline & & 33 & \(20.0093 \pm .43 \%\) & 1326.4 \(\pm .06 \%\) & 1.02977 \(\pm .16 \%\) & \(15.08542 \pm .43 \%\) & . \(19431 \pm .46 \%\) \\
\hline ULRC-5 & \({ }^{235}\) & \[
\begin{aligned}
& 20^{*} \\
& 23^{(e)}
\end{aligned}
\] & \(\begin{aligned} 20.0795 & \pm .08 \% \\ 2.0061 & \pm .50 \%\end{aligned}\) & \(1333.3 \pm .05\) & \(1.05483 \pm .30 \%\)
\(.10277 \pm 1.72 \%\) & \(15.06000 \pm .09 \%\) & \[
\begin{aligned}
& .19199 \pm .31 \% \\
& .19520 \pm 1.79 \%
\end{aligned}
\] \\
\hline \multirow[t]{6}{*}{ULRC-6} & \({ }^{235} \mathrm{U}\) & 14 & 20.1590 \(\pm .10 \%\) & \(1319.3 \pm .02 \%\) & \(1.02018 \pm .15 \%\) & 15.28007 \(\pm .10 \%\) & . \(19760 \pm .18 \%\) \\
\hline & & 16 & \(20.0837 \pm .09 \%\) & \(1343.9 \pm .18 \%\) & \(1.03266 \pm .26 \%\) & \(14.94434 \pm .20 \%\) & \(.19449 \pm .28 \%\) \\
\hline & & 17 & \(20.0570 \pm .14 \%\) & \(1331.7 \pm .05 \%\) & \(1.04572 \pm .40 \%\) & \(15.06120 \pm .15 \%\) & \(.19180 \pm .42 \%\) \\
\hline & & \(18^{*}\) & \(20.0716 \pm .07 \%\) & \(1330.3 \pm .04 \%\) & \(1.05003 \pm .21 \%\) & \(15.08803 \pm .08 \%\) & \(.19115 \pm .73 \%\) \\
\hline & & 20 & \(20.0800 \pm .10 \%\) & 1333.3 \(\pm .05 \%\) & \(1.04583 \pm .30 \%\) & \(15.06038 \pm .11 \%\) & \(.19200 \pm .32 \%\) \\
\hline & & \(22^{(e)}\) & \(2.0187 \pm .55 \%\) & - & \(.10514 \pm 1.70 \%\) & - & \(.19200 \pm 1.80 \%\) \\
\hline
\end{tabular}

Summary of the fission/monitor ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Foil identification and principal isotope} & \multirow[b]{2}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow[b]{2}{*}{Fission rate/atom
\[
\times 10^{-17}
\]} & \multicolumn{2}{|r|}{Monitor} & \multicolumn{2}{|l|}{Fission rate/monitor} \\
\hline & & & Monitor chamber (cps) & \[
\begin{gathered}
{ }^{197} \mathrm{Au}(\mathrm{n}, \gamma) \\
\text { Reaction rate/atom } \\
\times 10^{-15}
\end{gathered}
\] & Monitor chamber & \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{Y})\) \\
\hline & 24 & \(19.8268 \pm .17 \%\) & - & \(1.02745 \pm .64 \%\) & - & . \(19279 \pm .66 \%\) \\
\hline & 25 & 19.9956 \(\pm .13 \%\) & \(1323.2 \pm .03 \%\) & \(1.02032 \pm .24 \%\) & \(15.11155 \pm .13 \%\) & . \(19597 \pm .27 \%\) \\
\hline & \(27^{(f)}\) & \(5.1195 \pm .50 \%\) & \(337.6 \pm .18 \%\) & . \(27086 \pm .85 \%\) & \(15.16440 \pm .53 \%\) & . \(18901 \pm .99 \%\) \\
\hline & 28 & \(20.0598 \pm .21 \%\) & \(1327.4 \pm .16 \%\) & \(1.03439 \pm .80 \%\) & \(15.11210 \pm .26 \%\) & . \(19393 \pm .83 \%\) \\
\hline & 29 & 19.9562 土 . \(20 \%\) & 1327.3 \(\pm .10 \%\) & \(1.03004 \pm .60 \%\) & \(15.03518 \pm .22 \%\) & . \(19374 \pm .63 \%\) \\
\hline
\end{tabular}

Note: (a) Errors shown are statistical sampling errors only (1 \(\sigma\) )
(b) The chamber was accidentally off-centred by 2.5 mm
(c) Cadmium box
(d) Cadmium unbrella
(e) Reactor power 10 kW
(f) Reactor power 25 kW
* Mass calibration run for this deposit. Fission rate not included in the mean.
chamber moderation and epicadmium streaming in the ULRC chamber are not exactly known, but two independent experiments with In activation foil (see Section 6.5.4) and SSTR (see Chapter 7) showed that these corrections are within the errors and less than \(1 \%\). Nevertheless, no moderation and streaming correction has been applied to the \({ }^{238} \mathrm{U}\) and \({ }^{235} \mathrm{U}\) fission rates data obtained with the ULRC chamber.

Table 6.10 shows the average of the fission/monitor ratios for the NBS, AWRE and ULRC deposits exposed in the NBS and ULRC fission chambers at the centre of NISUS. In Table 6.10 the fission/monitor ratios of the \({ }^{239} \mathrm{Pu}\) and \({ }^{235} \mathrm{U}\) NBS deposits are those obtained with cadmium box since these experiments were performed before the access hole modification against the thermal neutron streaming. The fission/monitor ratio of the \({ }^{237} \mathrm{~Np}\) deposit is that obtained with the bare NBS chamber because there is a \(0.4 \%\) depression due to cadmium downscattering. The fission/monitor ratios of the NBS \(25 \mathrm{~S}-2-3\) deposit exposed in the ULRC chamber (run 6) has been corrected for the thermal neutron streaming through the access hole. For the rest of the deposits, the fission/monitor ratios are the means of the different runs listed in Table 6.9.

Table 6.10 shows that the difference ( \(1 \sigma\) ) in the fission rate per atom per monitor chamber ratios for \({ }^{235}\) U isotope for both chambers is about \(0.6 \%\) and that for \({ }^{238} \mathrm{U}\) isotope is \(1.2 \%\). The difference between \(0.6 \%\) and \(1.2 \%\) is probably due to uncorrected ULRC data for chamber moderation. The variations of \(1.4 \%\) and \(0.8 \%\) in the fission rates per atom per \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{Y})\) reaction for the \({ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\) isotopes

TABLE 6.10
The average fission/monitor ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|}
\hline \multirow[b]{2}{*}{Fission chamber} & \multirow[b]{2}{*}{Foil identification and principal isotope} & \multicolumn{2}{|c|}{Fission/monitor} \\
\hline & & Fission rate/atom. monitor chamber \(\mathrm{X} 10^{-20}\) & \begin{tabular}{l}
Fission rate/ \\
\({ }^{197} \mathrm{Au}(\mathrm{n}, \gamma)\) reaction rate
\end{tabular} \\
\hline NBS & \(\begin{array}{llll}\text { NBS } & 49 & \mathrm{I}-1-1 & { }^{239} \mathrm{Pu} \\ \text { NBS } & 28 & \mathrm{~N}-5-2 & { }^{238} \mathrm{U}_{\mathrm{U}} \text { (natural) } \\ \text { NBS } & 25 & \mathrm{~S}-2-3 & 235 \\ \mathrm{U} \\ \text { NBS } & 37 & \mathrm{~S}-5-2 & 237 \\ \mathrm{~Np} \\ \text { NBS } & 28 & \mathrm{HD}-5-1 & 238 \\ \mathrm{U}\end{array}\) & \[
\begin{aligned}
17.49781 & \pm .19 \% \\
.84452 & \pm .40 \% \\
14.87045 & \pm .18 \% \\
5.68060 & \pm .11 \% \\
.85278 & \pm .35 \%
\end{aligned}
\] & \[
\begin{aligned}
& .22202 \pm .36 \% \\
& .01082 \pm .52 \% \\
& .18848 \pm .29 \% \\
& .07062 \pm .22 \% \\
& .01065 \pm .41 \%
\end{aligned}
\] \\
\hline ULRC & \begin{tabular}{lll} 
NBS 25 S-2-3 & \({ }^{235}\) \\
NBS 28 HD-5-1 & \\
AWRE & \({ }^{238_{\mathrm{U}}}\) (depleted) \\
AWRE & \(235_{\mathrm{U}}\) (enriched) \\
ULRC-1 & \(238_{\mathrm{U}}\) (depleted) \\
ULRC-2 & \(238_{\mathrm{U}}\) \\
ULRC-3 & \(238_{\mathrm{U}}\) \\
ULRC-4 & \(238_{\mathrm{U}}\) \\
ULRC-5 & \(235_{\mathrm{U}}\) \\
ULRC-6 & 235 \\
\end{tabular} & \[
\begin{aligned}
14.99049 & \pm .20 \% \\
.83360 & \pm .36 \% \\
14.92723 & \pm .22 \% \\
.82698 & \pm .17 \% \\
.82652 & \pm .11 \% \\
.83265 & \pm .15 \% \\
.83044 & \pm .14 \% \\
15.08542 & \pm .43 \% \\
15.06000 & \pm .09 \% \\
15.09615 & \pm .09 \%
\end{aligned}
\] & \[
\begin{aligned}
& .19399 \pm .28 \% \\
& .01056 \pm .48 \% \\
& .18912 \pm .30 \% \\
& .01065 \pm .26 \% \\
& .01065 \pm .18 \% \\
& .01072 \pm .26 \% \\
& .01074 \pm .17 \% \\
& .19431 \pm .46 \% \\
& .19359 \pm .91 \% \\
& .19335 \pm .25 \%
\end{aligned}
\] \\
\hline
\end{tabular}

Note:
(a) All uncertainties random at \(1 \sigma\) confidence level.
respectively, reflect the consistency of the gold monitors during the course of fission rate measurements in NISUS. The summary of the variations in the fission/monitor ratios are shown in Table 6.11.

The isotopic fission/monitor ratios for the NBS, AWRE and ULRC deposits exposed at the centre of NISUS are shown in Table 6.12. The ratios are the means of those in Table 6.9 excluding the mass calibration runs. Table 6.13 shows the fission rate ratios for

TABLE 6.11
Summary of the variations (1 \(\sigma\) ) in the fission/monitor ratios of the NBS and ULRC fission chambers
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow{3}{*}{\begin{tabular}{l}
Fission \\
chamber
\end{tabular}} & \multicolumn{4}{|c|}{Variation, \(\pm \%\)} \\
\hline & \multicolumn{2}{|l|}{\({ }^{235} \mathrm{U}\)} & \multicolumn{2}{|l|}{\({ }^{238} \mathrm{U}\)} \\
\hline & Fission rate/atom. monitor chamber & ```
Fission rate/
    197Au(n,\gamma)
reaction rate
``` & Fission rate/atom. monitor chamber & ```
Fission rate/
    197
        Au(n,r)
reaction rate
``` \\
\hline NBS & - & - & 0.7 & 1.1 \\
\hline ULRC & 0.5 & 1.1 & 0.4 & 0.7 \\
\hline Both & 0.6 & 1.4 & 1.2 & 0.8 \\
\hline
\end{tabular}

\section*{TABLE 6.12}

The average isotopic fission/monitor ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Fission chamber} & \multirow[b]{2}{*}{\begin{tabular}{l}
Foil \\
identification
\end{tabular}} & \multirow[b]{2}{*}{\begin{tabular}{l}
Principal \\
isotope
\end{tabular}} & \multicolumn{2}{|r|}{Fission/monitor} \\
\hline & & & Fission rate/atom. monitor chamber
\[
\times 10^{-20}
\] & \begin{tabular}{l}
Fission rate/ \\
\({ }^{197} \mathrm{Au}(\mathrm{n}, \gamma)\) reaction rate
\end{tabular} \\
\hline NBS & NBS & \[
\begin{aligned}
& { }^{239}{ }^{\mathrm{Pu}} \\
& { }^{237} \mathrm{~Np}^{2} \\
& { }^{235}{ }_{\mathrm{U}} \\
& { }^{238_{\mathrm{U}}} \\
& \\
& \\
& \\
& \mathrm{~N} \\
& \mathrm{D}
\end{aligned}
\] & \[
\begin{aligned}
17.49781 & \pm .19 \% \\
5.68060 & \pm .11 \% \\
14.87045 & \pm .18 \% \\
.84452 & \pm .40 \% \\
.85278 & \pm .35 \%
\end{aligned}
\] & \[
\begin{aligned}
& .22202 \pm .36 \% \\
& .07062 \pm .22 \% \\
& .18848 \pm .29 \% \\
& .01082 \pm .52 \% \\
& .01065 \pm .41 \%
\end{aligned}
\] \\
\hline \multirow{3}{*}{ULRC} & NBS & \[
\begin{aligned}
& { }^{235} \\
& { }_{U} 338_{U}
\end{aligned}
\] & \[
\begin{array}{r}
14.99049 \pm .20 \% \\
.83360 \pm .36 \%
\end{array}
\] & \[
\begin{aligned}
& .19399 \pm .28 \% \\
& .01056 \pm .48 \%
\end{aligned}
\] \\
\hline & AWRE & \[
\begin{aligned}
& 235 \\
& { }^{23}{ }_{U}
\end{aligned}
\] & \[
\begin{array}{r}
14.92723 \pm .22 \% \\
.82698 \pm .17 \%
\end{array}
\] & \[
\begin{aligned}
& .18912 \pm .30 \% \\
& .01065 \pm .26 \%
\end{aligned}
\] \\
\hline & ULRC & \[
\begin{aligned}
& { }^{235} \mathrm{U} \\
& { }^{238}{ }_{U}
\end{aligned}
\] & \[
\begin{aligned}
15.09496 & \pm .09 \% \\
.82979 & \pm .11 \%
\end{aligned}
\] & \[
\begin{aligned}
& .19359 \pm .26 \% \\
& .01072 \pm .14 \%
\end{aligned}
\] \\
\hline
\end{tabular}

Note:
(a) All uncertainties random at lo. cofidence level.

TABLE 6.13

The fission rate ratios for the exposures of the NBS and ULRC fission chambers at NISUS centre \({ }^{(a)}\)
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{\begin{tabular}{l}
Fission \\
chamber
\end{tabular}} & \multirow[b]{2}{*}{\begin{tabular}{l}
Foil \\
identification
\end{tabular}} & \multirow[b]{2}{*}{Ratio} & \multicolumn{2}{|r|}{Fission rate ratio} \\
\hline & & & Monitor chamber & \({ }^{197} \mathrm{Au}(\mathrm{n}, \mathrm{r})\) reaction \\
\hline NBS & NBS & \[
\begin{aligned}
& { }^{239} \mathrm{Pu} /{ }^{238}{ }_{\mathrm{U}} \\
& 239 \mathrm{Pu}^{235}{ }_{\mathrm{U}} \\
& { }^{237} \mathrm{~Np}^{235}{ }_{\mathrm{U}} \\
& { }^{238}{ }_{\mathrm{U} /}{ }^{235}{ }_{\mathrm{U}}
\end{aligned}
\] & \[
\begin{aligned}
20.72 & \pm .44 \% \\
1.177 & \pm .26 \% \\
.3820 & \pm .21 \% \\
.05735 & \pm .39 \%
\end{aligned}
\] & \[
\begin{aligned}
20.52 & \pm .63 \% \\
1.178 & \pm .46 \% \\
.3747 & \pm .36 \% \\
.05650 & \pm .50 \%
\end{aligned}
\] \\
\hline \multirow{3}{*}{ULRC} & NBS & \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) & . \(05561 \pm .41 \%\) & . \(05444 \pm .56 \%\) \\
\hline & AWRE & \({ }^{238}{ }_{\mathrm{U} /}{ }^{235} \mathrm{U}\) & . \(05540 \pm .28 \%\) & . \(05631 \pm .40 \%\) \\
\hline & ULRC & \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) & . \(05497 \pm .14 \%\) & . \(05499 \pm .30 \%\) \\
\hline
\end{tabular}

Note:
(a) All uncertainties random at \(1 \sigma\) confidence level.
the NBS, AWRE and ULRC deposits derived from Table 6.12. Table 6.13 shows that the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios obtained by the ULRC fission chamber is \(\sim 3 \%\) less than that by the NBS chamber for the same deposits. A relevant factor is the increase in \(\mathrm{F}_{8} / \mathrm{F}_{5}\) of \(+1.1 \%\) in the NBS chamber data due to corrections applied for epicadmium streaming and chamber moderation. No comparable correction has been made for the ULRC chamber data since no effect has been demonstrated experimentally. Further work is needed to elucidate these corrections for ULRC chamber measurements. The variation ( \(1 \sigma\) ) of the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios (Table 6.13) in the ULRC chamber is better than \(0.6 \%\) for the monitor chamber and \(\sim 1.7 \%\) for the gold monitor. These variations reflect the consistency of the chamber performance for three sets of deposits.

The summary and final fission chamber data for NISUS 2re shown in Table 6.14. In Table 6.15 the fission rates of the NBS chamber, relative to the fundamental reaction \({ }^{235} U(n, f)\), are compared with those of \(\Sigma \Sigma\) and the computed ones based on the ENDF/B-III and GALAXY nuclear data file. The comparison is between the results of the same chamber and the same deposits and hence reflects any difference between the two standard neutron fields. The transport computation was only made for the \({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\) and \({ }^{238} \mathrm{U}(n, f)\) reaction rates in NISUS and \(\Sigma \Sigma\) (see Section 5.12), due to the lack of \({ }^{239} \mathrm{Pu}\) and \({ }^{237} \mathrm{~Np}\) cross sections in the GALAXY data file. The \(\sum \sum\) computed fission rates based on the ENDF/B-III file were taken from Ref. (6). Table 6.15 shows that the discrepancy between the NISUS and \(\Sigma \Sigma\) fission rates is about \(0.2 \%\) and \(0.5 \%\) for the \({ }^{239} \mathrm{Pu}(n, f)\) and \({ }^{237} \mathrm{~Np}(n, f)\) fission

Final fission ratio data for NISUS: mean values, precision and accuracy
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow{3}{*}{\begin{tabular}{l}
Fission \\
chamber
\end{tabular}} & \multirow{3}{*}{Ratio} & \multicolumn{6}{|c|}{Fission rate ratio} \\
\hline & & \multicolumn{3}{|c|}{Monitor chamber} & \multicolumn{3}{|c|}{\({ }^{197} \mathrm{Au}(\mathrm{n}, \gamma)\) reaction} \\
\hline & & Value & Precision & Accuracy & Value & Precision & Accuracy \\
\hline \(\mathrm{NBS}^{(a)}\) & \[
\begin{aligned}
& { }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U} \\
& { }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U} \\
& { }^{237} \mathrm{~Np} /{ }^{235}{ }_{\mathrm{U}} \\
& { }^{238} \mathrm{U} /{ }^{235} \mathrm{U}
\end{aligned}
\] & \[
\begin{aligned}
& 20.72 \\
& 1.177 \\
& .3820 \\
& .05735
\end{aligned}
\] & \[
\begin{aligned}
& \pm .44 \% \\
& \pm .26 \% \\
& \pm .21 \% \\
& \pm .39 \%
\end{aligned}
\] & \[
\begin{aligned}
& \pm 2.36 \% \\
& \pm 2.06 \% \\
& \pm 2.43 \% \\
& \pm 2.28 \%
\end{aligned}
\] & \[
\begin{aligned}
& 20.52 \\
& 1.178 \\
& .3747 \\
& .05650
\end{aligned}
\] & \[
\begin{aligned}
& \pm .63 \% \\
& \pm .46 \% \\
& \pm .36 \% \\
& \pm .50 \%
\end{aligned}
\] & \[
\begin{aligned}
& \pm 2.40 \% \\
& \pm 2.10 \% \\
& \pm 2.45 \% \\
& \pm 2.30 \%
\end{aligned}
\] \\
\hline ULRC \({ }^{(b)}\) & \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) & . 05533 & \(\pm .17 \%\) & \(\pm 2.76 \%\) & . 05525 & \(\pm .25 \%\) & \(\pm 2.76 \%\) \\
\hline
\end{tabular}

Note: (a) Values corrected for chamber perturbation (1.006 \(\pm .003\) on threshold reactions) and epithermal streaming (. \(995 \pm .005\) on non-threshold reactions).
(b) Values uncorrected for chamber perturbation or epithermal streaming (i.e. true fission rates in the chamber).

TABLE 6.15
Comparison of fission ratios in NISUS and \(\Sigma \Sigma\) by means of the NBS absolute fission chamber*
\begin{tabular}{|c|c|c|c|c|c|}
\hline \multirow{3}{*}{Reaction} & \multicolumn{2}{|l|}{NISUS} & \multicolumn{3}{|c|}{\(\Sigma \Sigma\)} \\
\hline & \multirow{2}{*}{Measured} & Computed & \multirow{2}{*}{Measured \({ }^{(100)}\)} & \multicolumn{2}{|l|}{Computed} \\
\hline & & GALAXY & & ENDF/B-III \({ }^{(6)}\) & GALAXY \\
\hline \({ }^{239} \mathrm{Pu}(\mathrm{n}, \mathrm{f})\) & \(1.177 \pm .26 \%\) & - & \(1.175 \pm .25 \%\) & 1.114 & - \\
\hline \[
{ }^{237} \mathrm{~Np}(\mathrm{n}, \mathrm{f})
\] & \(.3820 \pm .21 \%\) & - & \(.380 \pm .7 \%\) & . 367 & - \\
\hline \({ }^{238}{ }_{U}(\mathrm{n}, \mathrm{f})\) & . \(05735 \pm .39 \%\) & . 05278 & . \(05636 \pm .22 \%\) & . 0515 & \[
.05209
\] \\
\hline \({ }^{235}{ }_{U(n, f)}\) & 1.000 & 1.000 & 1.000 & 1.000 & 1.000 \\
\hline
\end{tabular}

Note: *A11 uncertainties random at \(1 \sigma\) confidence level.
rates respectively. The measured \({ }^{238} \mathrm{U}(\mathrm{n}, \mathrm{f})\) fission rate in NISUS is \(1.7 \%\) higher than that in \(\Sigma \Sigma\), compared with calculation which gives 1.3\%.

\section*{7. TRACK RECORDER MEASUREMENTS IN NISUS}

The measurements of fission rates are performed by fission foil activation technique, double fission chamber, and as recently developed by solid-state track recorders. The foil activation measurement is carried out by irradiating foils and subsequently gamma counting their fission product activity. Gamma activity ratios are related to true fission ratios by using a time-dependent calibration factor which is measured in a separate measurement using a double fission chamber. This technique suffers from the disadvantage that the calibration factor is spectrum dependent \({ }^{(16)}\) and that is subject to possible systematic errors.

The technique involving the use of solid-state track recorders frazments
is based on the fact that the passage of fission through a suitable dielectric such as Makrofol cause narrow trails of radiation damage in the material. Fission rate measurements are made from the number of tracks formed in the film when it is irradiated in intimate contact with a fissionable material. Among several advantages of SSTR compared with other fission rate measurement techniques is its considerable geometric flexibility. Track recorders can be shaped to detect fission fragments over an extended solid angle or can be reduced in size to eliminate flux depression or flux perturbation.

\subsection*{7.1 Determination of the optical efficiency}

The first part of the present track recorder measurements in NISUS involved the determination of the optical efficiency of Makrofol

SSTR. When a track recorder is irradiated in contact with a fissionable material, fission fragments that escape the source create tracks in the SSTR. Consequently, fission rate measurements with SSTR are surface observations of fission events occurring within the toplayer of the source. Ideally, one of the two fragments resulting from each fission would produce an observable track when the SSTR subtends \(2 \pi\) sr relative to the source. The ratio of the number of observed tracks per unit area to the number of fission fragments per unit area that escape the source is called the optical efficiency.

\subsection*{7.1.1 Performance}

Five experiments were carried out in NISUS with the ULRC fission chamber and the Makrofol SSTR. One experiment was made with an aluminium foil holder using solid uranium plug with no hole (Fig. 7.1), and consequently no thermal neutron streaming (107). In the edperiments with fission chamber, the SSTR was placed on one of the two deposits of the chamber and was secured between the two aluminium plates of the deposit holder. This arrangement was made SSTR in intimate contact with the deposit as it should be. In the experiment with the aluminium foil holder, two track recorders were placed on the two deposits for simultaneous irradiation. In this experiment, too, the track recorders were kept tight with the deposits. Special care was taken in placing and removing the SSTR on and from the deposit not to damage the fissionable material. The diameter of the SSTR was slightly bigger than that of the backing of the SSTR to make removing


Fig. 7.1 NISUS facility with SSTR foil holder.
easier.
The track recorder experiments were carried out at low reactor power or short irradiation time to avoid track pile-up and excessive overlap. In order to get statistical error around \(1 \%\) the reactor power and irradiation time were chosen to produce about \(2 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\). At the end of each run the reactor was shut down and the samples were taken out of NISUS. This was necessary because during the fission chamber measurements, it was found that when the cadmium shutter is closed the NISUS facility is not completely shut off from the reactor core. A \(0.25 \%\) core leakage was observed when the reactor was running at full power (100 kW). The low reactor power and short irradiation times prevented other experiments from being carried out on the reactor, and this is one of the disadvantages with the SSTR technique.

\subsection*{7.1.2 Fission track counting}

The Makrofol SSTR were etched at \(60^{\circ} \mathrm{C}\) for 30 min in an alcoholic alkaline solution of \(15 \% \mathrm{KOH}\) and \(40 \% \mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}\) diluted with 45\% distilled water. The etched films were counted automatically by the Quantimet 720. Since this set of samples were counted after a few months' time interval with the previous films (see Section 4.10), a new calibration was made using the same Leitz stage micrometer. It was found that there are 143 picture points per \(100 \mu \mathrm{~m}\), resulting in \(0.559 \times 0.437 \mathrm{~mm}\) field of view which is about \(1.4 \%\) less in area than the previous calibration. Apart from the re-calibration, the grey level threshold setting, size setting, and track area distribution
were also found for this set of samples to set the right detection conditions in track counting.

The grey level threshold setting was determined by plotting the total number of tracks of several fields of view against the threshold detection. Table 7.1 shows the results of the two samples, Film No. 806 and Film No. 808, irradiated in the ULRC fission chamber with \(23 \mu \mathrm{~g} / \mathrm{cm}^{2}\) and \(103 \mu \mathrm{~g} / \mathrm{cm}^{2}\) enriched uranium deposits, respectively. The films have the track density of about the same order of magnitude. The threshold detection curves for these two films are shown in Fig. 7.2.

The size setting distribution, the longest chord of the tracks, was found by plotting the total number of tracks in 23 fields of view against the size when the threshold detection was kept constant at the right setting. Table 7.2 shows the results of the size setting distribution for the Film Nos. 806 and 808. The integral size distribution curves of these two films are shown in Fig. 7.3. The differential histograms of the number of tracks as a function of track size (longest chord) are shown in Figs. 7.4 and 7.5 for the Film Nos. 806 and 808 respectively.

As it was described earlier (see Section 4.10 .4 ) the experimental estimate of \(P(X)\), the differential track area probability distribution, is an essential aspect of automatic fission track counting. This distribution has been found for the Film No. 806 which was irradiated in the ULRC fission chamber in contact with the thinnest source, \(23 \mu \mathrm{~g} / \mathrm{cm}^{2}\) enriched uranium deposit. Table 7.3 shows the variation of the track area (in picture points) with the total number of tracks

\section*{TABLE 7.1}

Threshold setting for two films irradiated in the ULRC fission chamber

Film No. \(=806\)
Source \(=23 \mu \mathrm{gm} / \mathrm{cm}^{2}\) Enriched Uranium Deposit
Condition \(=100 \mathrm{~kW} 30 \mathrm{~min}\)
\begin{tabular}{|c|c|c|c|c|c|}
\hline \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} \\
\hline \hline 4.0 & 745 & 5.7 & 954 & 7.4 & 1024 \\
4.1 & 763 & 5.8 & 950 & 7.5 & 1018 \\
4.2 & 794 & 5.9 & 956 & 7.6 & 1015 \\
4.3 & 815 & 6.0 & 959 & 7.7 & 1029 \\
4.4 & 845 & 6.1 & 958 & 7.8 & 1066 \\
4.5 & 865 & 6.2 & 969 & 7.9 & 1072 \\
4.6 & 903 & 6.3 & 974 & 8.0 & 1094 \\
4.7 & 911 & 6.4 & 973 & 8.1 & 1072 \\
4.8 & 930 & 6.5 & 980 & 8.2 & 1092 \\
4.9 & 937 & 6.6 & 984 & 8.3 & 1079 \\
5.0 & 949 & 6.7 & 985 & 8.4 & 1133 \\
5.1 & 955 & 6.8 & 1002 & 8.5 & 1128 \\
5.2 & 939 & 6.9 & 995 & 8.6 & 1146 \\
5.3 & 945 & 7.0 & 1013 & 8.7 & 1185 \\
5.4 & 964 & 7.1 & 1003 & 8.8 & 1220 \\
5.5 & 958 & 7.2 & 1008 & 8.9 & 1303 \\
5.6 & 955 & 7.3 & 1009 & 9.0 & 1426 \\
\hline
\end{tabular}

Note: \(\quad\) Size setting \(=7\)

TABLE 7.1 (continued)

Threshold setting for two films irradiated in the ULRC fission chamber

Film No. \(=808\)
Source \(=103 \mu \mathrm{gm} / \mathrm{cm}^{2}\) Enriched Uranium Deposit
Condition \(=10 \mathrm{~kW} \quad 70 \mathrm{~min}\)
\begin{tabular}{|c|c|c|c|c|c|}
\hline \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \begin{tabular}{c} 
Threshold \\
setting
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} \\
\hline 3.0 & 79 & 5.0 & 1013 & 7.0 & 1089 \\
3.2 & 159 & 5.2 & 1003 & 7.2 & 1067 \\
3.4 & 388 & 5.4 & 1036 & 7.4 & 1068 \\
3.6 & 571 & 5.6 & 1042 & 7.6 & 1102 \\
3.8 & 691 & 5.8 & 1048 & 7.8 & 1103 \\
4.0 & 776 & 6.0 & 1043 & 8.0 & 1146 \\
4.2 & 851 & 6.2 & 1048 & 8.2 & 1251 \\
4.4 & 877 & 6.4 & 1061 & 8.4 & 1386 \\
4.6 & 916 & 6.6 & 1057 & & \\
4.8 & 928 & 6.8 & 1066 & & \\
\hline
\end{tabular}


Fig. 7.2 Threshold detection curves for two films irradiated in the ULRC fission chamber.

TABLE 7.2

Size setting for two films irradiated in the ULRC fission chamber
\[
\begin{array}{ll}
\text { Film No. } & =806 \\
\text { Source } & =23 \mu \mathrm{gm} / \mathrm{cm}^{2} \text { Enriched Uranium Deposit } \\
\text { Condition } & =100 \mathrm{~kW} \quad 30 \mathrm{~min}
\end{array}
\]
\begin{tabular}{|c|c|c|c|c|c|}
\hline ```
    Size
setting
    (p.p.)
``` & Total count of 23 frames & \(\triangle \mathrm{C}\) & ```
    Size
setting
    (p.p.)
``` & Total count of 23 frames & \(\triangle \mathrm{C}\) \\
\hline 0 & 1522 & - & 16 & 441 & 103 \\
\hline 1 & 1207 & 315 & 17 & 380 & 61 \\
\hline 2 & 1179 & 28 & 18 & 326 & 54 \\
\hline 3 & 1120 & 59 & 19 & 261 & 65 \\
\hline 4 & 1071 & 49 & 20 & 239 & 22 \\
\hline 5 & 1050 & 21 & 21 & 194 & 45 \\
\hline 6 & 1005 & 45 & 22 & 150 & 44 \\
\hline 7 & 976 & 29 & 23 & 122 & 28 \\
\hline . 8 & 936 & 40 & 24 & 92 & 30 \\
\hline 9 & 912 & 24 & 25 & 69 & 23 \\
\hline 10 & 881 & 31 & 26 & 53 & 16 \\
\hline 11 & 825 & 56 & 27 & 36 & 17 \\
\hline 12 & 787 & 38 & 28 & 26 & 10 \\
\hline 13 & 745 & 42 & 29 & 19 & 7 \\
\hline 14 & 655 & 90 & 30 & 12 & 7 \\
\hline 15 & 544 & 111 & & & \\
\hline
\end{tabular}

Note: \(\quad\) * Threshold setting \(=6.4\)

TABLE 7.2 (continued)

Size setting for two films irradiated in the ULRC fission chamber
\[
\begin{aligned}
& \text { Film No. }=808 \\
& \text { Source }=103 \mathrm{\mu gm} / \mathrm{cm}^{2} \text { Enriched Uranium Deposit } \\
& \text { Condition }=10 \mathrm{~kW} \quad 70 \mathrm{~min} .
\end{aligned}
\]
\begin{tabular}{|c|c|c|c|c|c|}
\hline \begin{tabular}{c} 
Size \\
setting \\
(p.p.)
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \(\Delta \mathrm{C}\) & \begin{tabular}{c} 
Size \\
setting \\
(p.p.)
\end{tabular} & \begin{tabular}{c} 
Total count \\
of \\
frames
\end{tabular} & \(\Delta \mathrm{C}\) \\
\hline 0 & 1434 & - & 16 & 428 & 123 \\
1 & 1208 & 226 & 17 & 374 & 54 \\
2 & 1141 & 67 & 18 & 314 & 60 \\
3 & 1132 & 9 & 19 & 255 & 59 \\
4 & 1116 & 16 & 20 & 221 & 34 \\
5 & 1088 & 28 & 21 & 179 & 42 \\
6 & 1074 & 14 & 22 & 141 & 34 \\
7 & 1046 & 28 & 23 & 91 & 50 \\
8 & 1013 & 33 & 24 & 66 & 25 \\
9 & 968 & 45 & 25 & 51 & 15 \\
10 & 929 & 39 & 26 & 31 & 20 \\
11 & 885 & 44 & 27 & 24 & 7 \\
12 & 864 & 21 & 28 & 21 & 3 \\
13 & 819 & 45 & 29 & 15 & 6 \\
14 & 654 & 165 & 30 & 9 & 6 \\
15 & 551 & 103 & & & \\
\hline
\end{tabular}

Note: * Threshold setting \(=6.4\)
\(\stackrel{7}{8}\)

Fig. 7.4 Frequency histogram of the number of tracks as a function of track size (longest chord).

Fig. 7.5 Frequency histogram of the number of tracks as a function of

TABLE 7.3

Track area distribution for the film irradiated with the thinnest deposit in the ULRC fission chamber
```

Film No. = 806
Source = 23 \mugm/cm}\mp@subsup{}{}{2}\mathrm{ Enriched Uranium Deposit
Condition = 100 kw 30 min

```
\begin{tabular}{|c|c|c|c|}
\hline \[
\begin{aligned}
& \text { Area* } \\
& \text { (p.p.) }
\end{aligned}
\] & \begin{tabular}{l}
Total count of \\
31 frames
\end{tabular} & \[
\begin{aligned}
& \text { Area* } \\
& \text { (p.p.) }
\end{aligned}
\] & \begin{tabular}{l}
Total count of \\
31 frames
\end{tabular} \\
\hline 10 & 451 & 230 & 62 \\
\hline 20 & 154 & 240 & 66 \\
\hline 30 & 58 & 250 & 69 \\
\hline 40 & 34 & 260 & 81 \\
\hline 50 & 27 & 270 & 80 \\
\hline 60 & 26 & 280 & 87 \\
\hline 70 & 20 & 290 & 75 \\
\hline 80 & 15 & 300 & 57 \\
\hline 90 & 15 & 310 & 71 \\
\hline 100 & 18 & 320 & 59 \\
\hline 110 & 11 & 330 & 53 \\
\hline 120 & 11 & 340 & 27 \\
\hline 130 & 16 & 350 & 27 \\
\hline 140 & 20 & 360 & 16 \\
\hline 150 & 25 & 370 & 12 \\
\hline 160 & 32 & 380 & 6 \\
\hline 170 & 31 & 390 & 3 \\
\hline 180 & 49 & 400 & 6 \\
\hline 190 & 42 & 410 & 3 \\
\hline 200 & 55 & 420 & 0 \\
\hline 210 & 38 & 430 & 5 \\
\hline 220 & 65 & & \\
\hline
\end{tabular}

Note: \(\quad *\) Threshold setting \(=6.4\)
per 31 fields of view. In Fig. 7.6 the frequency histogram of the number of tracks as a function of track area of Film No. 806 is compared with that of the Film No. 206 (Table 4.7). Film No. 206 has been irradiated in contact with the asymptotically thick source (NISUS natural uranium shell) and hence the comparison is between the two limits of the available source thicknesses. It is seen from Fig. 7.6 that the peak of the track area distribution of the asymptotically thick source (Film No. 206) corresponds to the area of 180 pp and that of the very thin deposit (Film No. 806) to 280 pp . This means that the thicker the source the smaller the tracks. The explanation is that the size of the damaged region and the cone base of the etched pits in the SSTR depend on the energy of the incident fission fragments. For energetic fragments the rate of damage along the fragment path is high and thus for a given etching condition the tracks of fragments with higher energies are larger than those with lower energies. In asymptotically thick source (NISUS uranium shel1) most of the frafnents lose their energies before escaping the source and hence produce small tracks compared with those of the thin source. Fig. 7.6 shows that the peak-tovalley ratios of the track area distribution (analagous to fission chamber pulse height distribution) vary from about 2 for Film No. 206 (thick source) to about 8 for Film No. 806 (thin source.)

\subsection*{7.1.3 Fission source evaluation}

One important aspect of the fission rate measurement by SSTR is the quality of the fission source. If the source is not uniform,


Fig. 7.6 Frequency histogram of the number of tracks as a function of track area.
then all tracks on the sample should be counted and the primary difficulty arises in being assured of counting all the tracks. On the other hand, counting all the tracks is much too time consuming to be practical. It is, however, possible to move the microscope stage such that a spot or a track on one boundary of the frame in the field of view is moved the opposite boundary. This method, though applicable in track counting by eye, is not practical in Quantimet track counting since it is difficult, time consuming and expensive, in particular, when the fission souce diameter is large. The alternative is to scan the SSTR in discrete steps, as it is done by the Automatic Stage of the Quantimet 720 , and find the average number of tracks per field of view. In the present Quantimet track counting, this method was followed and for each SSTR the number of tracks per unit area determined. It is, however, clear that if the fission source is not uniform in radial direction it could introduce an error in track counting by scanning an insufficient area of the SSTR. The radial uniformity of the fission sources was examined by counting the tracks across a number of diameters. A typical radial distribution of the observed tracks is shown in Fig. 7.7. were The results obtained by the Quantimet 720 for the Makrofol SSTR irradiated in the ULRC fission chamber in contact with the \(103 \mu \mathrm{~g} / \mathrm{cm}^{2}\) enriched uranium deposit (Film No. 808). It is seen that the radial distribution is uniform within the statistics.

The quality of fission sources can also be tested by examining the specific track density, i.e. the number of observed tracks per microgram of fissile material as a function of the source thickness.


Fig. 7.7 Radial track density distribution obtained with Makrofol SSTR with \(103 \mu \mathrm{gm} / \mathrm{cm}^{2}\) enriched uranium deposit.

Gold et al (19) have shown that with an excellent approximation the variation of specific track density with source thickess is linear in the form of
\[
\begin{equation*}
T(\mu) / \mu=a+b \mu \tag{7.1}
\end{equation*}
\]
where \(T(\mu)\) is the number of observed tracks per unit area and
\(\mu \quad\) is the thickness of the source in units of \(\mu \mathrm{g} / \mathrm{cm}^{2}\). In the present work the track recorders were irradiated at different runs in contact with the ULRC deposits in the ULRC fission chamber. The variation of specific track density with source thickness is shown in Fig. 7.8. Since the reactor power and exposure time were different, the quantity of number of observed tracks per \(\mathrm{cm}^{2}\) per sec per microgram per \({ }^{197} \mathrm{Au}(n, \gamma)\) reaction rate was taken instead of simply \({ }^{\text {the }}\) number of tracks per microgram. Moreover, the data from the depleted deposits increased by a factor of \(\mathrm{F}_{5} / \mathrm{F}_{8}\) to correspond to the same data for enriched deposits.

\subsection*{7.1.4 Optical efficiency}

According to Gold et al \({ }^{(19)}\) the optical efficiency of a SSTR is the ratio of the number of observed tracks per unit area to the number of fission fragments per unit area that escape the source. This definition, however, differs from that of their total efficiency which is the ratio of the number of observed tracks per unit area to the true fission events in the source per unit area. They have shown that the optical efficiency is a function of the source thickness


Fig. 7.8 Observed track density as a function of source thickness obtained with Makrofol SSTR. The smooth curve is a linear least-squares fit to the experimental data.
as well as the SSTR material, whereas the total efficiency depends only upon the detector and is independent of the fission source. It follows that for thin sources, the self-absorption effects can be neglected and the total efficiency reduces to optical efficiency. Khan and Durrani (12) have shown that the detection efficiency of a track recorder depends on the angle of incidence of the fission fragments. They have demonstrated that the track densities after having remained fairly constant over most of the angular interval, fall off to zero as the angle of incidence approaches the critical angle of etching on either side of the normal. It follows that the total efficiency is not constant either, since the angular distribution of the fission fragments impinging on the SSTR depends on the source thickness. Grundl et al \({ }^{(14)}\) have defined the optical efficiency as the actual ratio of observed tracks to the true fission events. In the present work Gold's definition was adopted and both the optical efficiency and the total efficiency were determined.

To obtain the optical efficiency of the Makrofol SSTR, seven track recorders were irradiated in contact with the ULRC deposits at the centre of NISUS. Irradiations were performed such that the resulting track densities were about \(2 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\) to get a minimum track overlap even under strong etching. The etched track recorders were counted by the Quantimet 720 when the gray level threshold and size (longest chord) were at the right settings. Table 7.4 shows the results of the track densities for seven Makrofol SSTR. The first five films were irradiated in the ULRC fission chamber and the last two (Run No. 30) with the aluminium foil holder. The overlap

TABLE 7.4
Track densities of Makrofol SSTR irradiated at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \multirow{3}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multirow{3}{*}{\begin{tabular}{l}
Film \\
No.
\end{tabular}} & \multirow[b]{3}{*}{\begin{tabular}{l}
Reactor \\
power \\
(KW)
\end{tabular}} & \multirow[b]{3}{*}{\begin{tabular}{l}
Irradiation \\
time \\
(sec)
\end{tabular}} & \multicolumn{2}{|l|}{\multirow{3}{*}{Foil identification and principal isotope}} & \multirow{3}{*}{\[
\begin{gathered}
\text { Mass } \\
\left(\mu \mathrm{g} / \mathrm{cm}^{2}\right)
\end{gathered}
\]} & \multicolumn{4}{|c|}{Track recorder} \\
\hline & & & & & & & \multirow[t]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/cm \({ }^{2}\)} \\
\hline & & & & & & & & & Observed & Overlap corrected \\
\hline 17 & 806 & 100 & 1800 & ULRC-4 & \({ }^{235} \mathrm{U}\) & 23.3 & 430 & 20835 & 19835 & 20397 \\
\hline 22 & 807 & 10 & 4200 & ULRC-5 & \({ }^{235}\) & 101.7 & 430 & 21245 & 20225 & 20809 \\
\hline 23 & 808 & 10 & 4200 & ULRC-6 & \({ }^{235}\) & 102.8 & 450 & 22270 & 20259 & 20845 \\
\hline 24 & 809 & 100 & 3000 & ULRC-3 & \({ }^{238}\) & 241.2 & 450 & 21306 & 19382 & 19918 \\
\hline 27 & 810 & 25 & 3000 & ULRC-1 & \({ }^{238}\) & 943.5 & 480 & 21352 & 19745 & 20301 \\
\hline 30 & 811 & 20 & 2100 & ULRC-6 & \({ }^{235} \mathrm{U}\) & 102.8 & 480 & 24857 & 21199 & 21843 \\
\hline 30 & 812 & 20 & 2100 & ULRC-1 & \({ }^{238} \mathrm{U}\) & 943.5 & 460 & 12563 & 11180 & 11355 \\
\hline
\end{tabular}
correction was made by using Equ. 4.3 and assuming the average track area of 280 PP , the value measured for Film No. 806 (Fig. 7.6). It was found that there is no significant difference in the track densities (through Au monitor) between Film Nos. 808 and 811, and also between Film Nos. 810 and 812. This means that thermal neutron streaming effect and flux perturbation due to fission chamber body is within the errors of the SSTR technique. Table 7.5 shows the summary of the count ratios of the ULRC deposits irradiated in the fission chamber and in contact with Makrofol SSTR. The values of optical efficiency \(\eta_{o}\) and total efficiency \(\eta_{T}\) are shown in Table 7.6. The results show that the detection efficiency for two thick deposits is near unity. This is attributable to uncertainty in the area of the source and nonuniformity of the fissionable material. In Table 7.7 is shown a comparison between the mean optical efficiency (thin deposits) obtained from Table 7.6 and those of References (19) and (12). The results indicate that the optical efficiency in this work is about \(1 \%\) less than those reported by Gold et a1 \({ }^{(19)}\) and Khan and Durrani \({ }^{(12)}\). This difference may be due to extensive etching in the present work, since the etching process removes surface from the polycarbonate resin (Makrofol) and the short fission tracks are lost and therefore the actual number of tracks reduced.

\subsection*{7.2 Fission ratio measurement}

Solid-state track recorders have been used to measure the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios with various degrees of accuracy. In

Summary of the count ratios of the ULRC deposits exposed in the ULRC fission chamber and with Makrofol SSTR
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & Foil i and pri & \begin{tabular}{l}
ification \\
al isotope
\end{tabular} & \[
\underset{(\mathrm{cps})}{\mathrm{S}_{\mathrm{L}}}
\] & Tracks/cm \({ }^{2}\) & ETZ & Count ratio & Mean \\
\hline 14 & \[
\begin{aligned}
& \text { ULRC-4 } \\
& \text { ULRC-6 }
\end{aligned}
\] & \[
\begin{aligned}
& 235_{\mathrm{U}} \\
& 235_{\mathrm{U}}
\end{aligned}
\] & \[
\begin{aligned}
37.12 & \pm .07 \\
164.15 & \pm .16
\end{aligned}
\] & - & \[
\begin{aligned}
& 1.02604 \pm .00198 \\
& 1.02390 \pm .00068
\end{aligned}
\] & . \(22524 \pm .29 \%\) & \\
\hline 15 & \[
\begin{aligned}
& \text { ULRC-4 } \\
& \text { ULRC-6 }
\end{aligned}
\] & \[
\begin{aligned}
& 235_{\mathrm{U}} \\
& { }^{235} \mathrm{U}
\end{aligned}
\] & \(\begin{aligned} 37.78 & \pm .11 \\ 165.30 & \pm .27\end{aligned}\) & - & \[
\begin{aligned}
& 1.01980 \pm .00192 \\
& 1.03290 \pm .00076
\end{aligned}
\] & . \(22565 \pm .39 \%\) & . \(22590 \pm .24 \%\) \\
\hline 17 & ULRC-4
ULRC-6 & \[
\begin{aligned}
& 235{ }_{\mathrm{U}} \\
& { }^{235}{ }_{\mathrm{U}}
\end{aligned}
\] & \[
\begin{gathered}
\text { SSTR } \\
163.32 \pm .22
\end{gathered}
\] & 20397 & \(1.02390 \pm .00106\) & . \(21289 \pm 1.00 \%\) & . \(21289 \pm 1.00 \%\) \\
\hline 20 & \[
\begin{aligned}
& \text { ULRC-5 } \\
& \text { ULRC-6 }
\end{aligned}
\] & \[
\begin{aligned}
& { }^{235} \mathrm{U} \\
& { }^{235} \mathrm{U}
\end{aligned}
\] & \[
\begin{aligned}
159.03 & \pm .13 \\
163.76 & \pm .17
\end{aligned}
\] & - & \[
\begin{aligned}
& 1.03054 \pm .00086 \\
& 1.02232 \pm .00116
\end{aligned}
\] & . \(97893 \pm .19 \%\) & . \(97893 \pm .19 \%\) \\
\hline
\end{tabular}

Summary of the count ratios of the ULRC deposits exposed in the ULRC fission chamber and with Makrofol SSTR
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & Foil identification and principal isotope & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & Tracks/cm \({ }^{2}\) & ETZ & Count ratio & Mean \\
\hline 22 & \[
\begin{array}{cc}
\text { ULRC-5 } & 235 \\
\text { ULRC-6 } & 235
\end{array}
\] & \[
\begin{gathered}
\text { SSTR } \\
16.41 \pm .09
\end{gathered}
\] & 20809
- & - \(1.02562 \pm .00178\) & . \(92482 \pm 1.13 \%\) & . \(92482 \pm 1.13 \%\) \\
\hline 23 & \begin{tabular}{cc} 
ULRC-5 & 235 U \\
ULRC-6 & 235 U
\end{tabular} & \[
\begin{gathered}
16.05 \pm .08 \\
\text { SSTR }
\end{gathered}
\] & -
20845 & \[
1.02014 \pm .00236
\] & \(1.03968 \pm 1.11 \%\) & \(1.03968 \pm 1.11 \%\) \\
\hline 16 & \[
\begin{array}{ll}
\text { ULRC-3 } & 238_{U} \\
\text { ULRC-6 } & 235 \\
\end{array}
\] & \[
\begin{array}{r}
20.85 \pm .06 \\
163.78 \pm .14
\end{array}
\] & - & \[
\begin{aligned}
& 1.04590 \pm .00360 \\
& 1.02238 \pm .00322
\end{aligned}
\] & \(.13023 \pm .55 \%\) & \\
\hline 25 & \[
\begin{array}{ll}
\text { ULRC-3 } & 238_{U} \\
\text { ULRC-6 } & 235 \\
U
\end{array}
\] & \[
\begin{aligned}
20.77 & \pm .07 \\
160.98 & \pm .21
\end{aligned}
\] & - & \[
\begin{aligned}
& 1.03184 \pm .00230 \\
& 1.03560 \pm .00084
\end{aligned}
\] & . \(12855 \pm .43 \%\) & \(.12939 \pm .35 \%\) \\
\hline
\end{tabular}

\section*{TABLE 7.5 (continued)}

Summary of the count ratios of the ULRC deposits exposed in the ULRC fission chamber and with Makrofol SSTR
\begin{tabular}{|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & Foil identification and principal isotope & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & Tracks/cm \({ }^{2}\) & ETZ & Count ratio & Mean \\
\hline 24 & \[
\begin{array}{ll}
\text { ULRC-3 } & { }^{238} \mathrm{U} \\
\text { ULRC-6 } & 235 \mathrm{U}
\end{array}
\] & \[
\begin{gathered}
\operatorname{SSTR} \\
161.92 \pm .27
\end{gathered}
\] & 19918
- & \(1.02090 \pm .00146\) & . \(12999 \pm 1.57 \%\) & . \(12999 \pm 1.57 \%\) \\
\hline 21 & \begin{tabular}{ll} 
ULRC-1 & \({ }^{238}{ }_{\mathrm{U}}\) \\
ULRC-3 & \(238_{\mathrm{U}}\)
\end{tabular} & \[
\begin{aligned}
& 75.23 \pm .14 \\
& 20.80 \pm .04
\end{aligned}
\] & - & \[
\begin{aligned}
& 1.09206 \pm .00706 \\
& 1.04416 \pm .00286
\end{aligned}
\] & \(3.78268 \pm .75 \%\) & \(3.78268 \pm .75 \%\) \\
\hline 33 & \[
\begin{array}{ll}
\text { ULRC-I } & 238_{\mathrm{U}} \\
\text { ULRC-4 } & 235 \mathrm{U}
\end{array}
\] & \(74.40 \pm .07\)
\(36.89 \pm .16\) & - & \(1.09696 \pm .00432\)
\(1.02006 \pm .00164\) & \(2.16885 \pm .61 \%\) & \(2.16885 \pm .61 \%\) \\
\hline 27 & \[
\begin{array}{ll}
\text { ULRC-1 } & 238_{U} \\
\text { ULRC-6 } & 235_{\mathrm{U}}
\end{array}
\] & \[
\begin{gathered}
\text { SSTR } \\
41.75 \pm .21
\end{gathered}
\] & 20301 & \[
1.02358 \pm .00174
\] & . \(52266 \pm 2.24 \%\) & . \(52266 \pm 2.24 \%\) \\
\hline
\end{tabular}

TABLE 7.6

Detection efficiency for Makrofol SSTR
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{\begin{tabular}{l}
Run \\
No.
\end{tabular}} & \multicolumn{2}{|l|}{\multirow[b]{2}{*}{Foil identification and principal isotope}} & \multicolumn{2}{|c|}{Efficiency*} \\
\hline & & & Optical, \({ }^{\text {no }}\) & Total, \(n_{T}\) \\
\hline 17 & ULRC-4 & \({ }^{235}\) U & . \(9424 \pm 1.03 \%\) & . \(9409 \pm 1.09 \%\) \\
\hline 22 & ULRC-5 & \({ }^{235}\) & . \(9447 \pm 1.15 \%\) & .9381. \(\pm 1.20 \%\) \\
\hline 23 & ULRC-6 & \({ }^{235} \mathrm{U}\) & . \(9416 \pm 1.13 \%\) & . \(9350 \pm 1.40 \%\) \\
\hline 24 & ULRC-3 & \({ }^{238} \mathrm{U}\) & \(1.0046 \pm 2.59 \%\) & . \(9882 \pm 2.62 \%\) \\
\hline 27 & ULRC-1 & \({ }^{238} \mathrm{U}\) & \(1.0668 \pm 2.33 \%\) & \(1.0016 \pm 2.79 \%\) \\
\hline
\end{tabular}

Note: \(\quad\) Total errors.

1968, Gold et al \({ }^{\text {(19) }}\) report \({ }^{\text {that }}\) rimiting accuracy of close to within 1\% is possible for uranium fission rate measurements with SSTR. They concluded that the dominant contributing factor to this uncertainty is not directly related to the SSTR method. Instead, the largest error by far arises in the determination of the mass of fissionable material in a given uranium source or deposit.

TABLE 7.7

Comparison of optical efficiency of Makrofol SSTR
\begin{tabular}{|c|c|c|c|c|}
\hline \multirow{2}{*}{\begin{tabular}{c} 
Optical \\
efficiency \\
\(\%\)
\end{tabular}} & \multirow{2}{*}{ Reference (19) } & \multicolumn{2}{|c|}{ Reference (12) } & \multirow{2}{*}{ This work* } \\
\cline { 3 - 4 } \begin{tabular}{c}
\(n_{0}\)
\end{tabular} & Expected & Observed & \\
\hline \hline & \(95.2 \pm .53\) & 94.8 & 95.2 & \(94.3 \pm .64\) \\
\hline
\end{tabular}

Note: * Thin deposits.

\section*{to}

It is, however, notable that the accuracy of close \(1 \%\) has not routinely appeared in the subsequent literature for the same types of measurements. Besant and Ipson (20) have measured the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio in the fast reactor ZEBRA with SSTR and found an agreement to within the errors of \(\pm 4.2 \%\) with fission chamber measurements. In 1970, Jowitt \({ }^{(22)}\) reported the results of the measurements of the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios with SSTR and the conventional foil activation technique in a zero power fast reactor (ZEBRA). He has shown no significant difference between the results obtained by the two methods since each is subject to an error of about \(\pm 2 \%\). In the following year Besant and Truch \({ }^{(21)}\) measured the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio in ZEBRA with fission chamber and SSTR. They showed that the fission chamber results were in agreement with those obtained by SSTR to within \(\sim 3 \%\). Grundl et al \({ }^{(14)}\), in 1975 , reported the results of \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio measurements in CFRMF by fission chamber and track recorder. Although they have developed the track recorder technique to accuracy levels no better than \(3 \%\) in fission rate measurements, they have shown an agreement between the two techniques in the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio measurements and quoted an error of about \(1.5 \%\) for each method. Fabry et al \({ }^{(100)}\) have measured the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio in \(\sum \Sigma\) by means of NBS fission chamber and ANL track recorders and have found an agreement to within \(3 \%\) between the results of fission chamber and SSTR.

It seems that the accuracy of the order of \(1.5 \%\) or better in the absolute fission rate measurements by SSTR is hardly achievable since the knowledge of the mass assay is subject to an uncertainty of no better than \(1 \%\) either by \(\alpha\) or fission counting. On the other hand the random error the order of \(1 \%\) puts another limitation on the desired accuracy levels. Similarly in the fission ratio measurements one may get the accuracy of about \(1.5 \%\) if the uncertainty of the mass assay of each deposit is at the order of \(1 \%\). Uncertainties in the fission fragment absorption corrections in the deposits limit the overall accuracy in the fission ratio measurements.

In the present work the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio was measured in the centre of NISUS using Makrofol SSTR. The track recorders were irradiated with the ULRC enriched and depleted uranium deposits and after the etching they were counted by the Quantimet 720. The results of the track densities are shown in Table 7.4. Table 7.8 shows the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios obtained from Table 7.5. The comparison of the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios in NISUS by fission chamber and track recorder is shown in Table 7.9. The results show that the agreement between the fission chamber and SSTR (irradiated with thin deposits) fission ratios is to within \(\sim 3 \%\).
7.3 Fission rate distribution in the NISUS uranium shell

The measurement of the fission rate distribution in the NISUS natural uranium shell was made in the three orthogonal planes on the

TABLE 7.8
\({ }^{238} \mathrm{U} /{ }^{235}{ }_{\mathrm{U}}\) fission ratios measured in NISUS centre by track recorder
\begin{tabular}{|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & \multicolumn{2}{|l|}{Foil identification and principal isotope} & Count ratio & \[
\begin{gathered}
{ }^{238} \mathrm{U} / /^{235} \mathrm{U} \\
\text { fission ratios }
\end{gathered}
\] \\
\hline \multirow[t]{2}{*}{24
17} & \multirow[t]{2}{*}{\begin{tabular}{l}
ULRC-3 \\
ULRC-4
\end{tabular}} & \({ }^{238} \mathrm{U}\) & . \(12999 \pm 1.57 \%\) & \multirow[b]{2}{*}{. \(05898 \pm 3.1 \%\)} \\
\hline & & \({ }^{235} \mathrm{U}\) & . \(21289 \pm 1.00 \%\) & \\
\hline 24 & ULRC-3 & \({ }^{238} \mathrm{U}\) & . \(12999 \pm 1.57 \%\) & \\
\hline 22 & ULRC-5 & \({ }^{235} \mathrm{U}\) & . \(92482 \pm 1.13 \%\) & . \(05926 \pm 3.1 \%\) \\
\hline 27 & ULRC-1 & \({ }^{238} \mathrm{U}\) & . \(52266 \pm 2.24 \%\) & \\
\hline 17 & ULRC-4 & \({ }^{235} \mathrm{U}\) & . \(21289 \pm 1.00 \%\) & . \(06063 \pm 4.4 \%\) \\
\hline 27 & ULRC-1 & \({ }^{238} \mathrm{U}\) & . \(52266 \pm 2.24 \%\) & \multirow[b]{2}{*}{. \(06092 \pm 4.3 \%\)} \\
\hline 22 & ULRC-5 & \({ }^{235} \mathrm{U}\) & . \(92842 \pm 1.13 \%\) & \\
\hline \multirow[b]{2}{*}{30} & \multirow[t]{2}{*}{\begin{tabular}{l}
ULRC-1 \\
ULRC-6
\end{tabular}} & \multirow[t]{2}{*}{\[
\begin{aligned}
& 238_{\mathrm{U}} \\
& { }^{235} \mathrm{U}
\end{aligned}
\]} & & \\
\hline & & & . \(51985 \pm 1.09 \%\) & . \(05664 \pm 3.7 \%\) \\
\hline
\end{tabular}
inner and outer surfaces of the shell simultaneously. Since the SSTR must be in intimate contact with the source and access to the shell was only possible by dismantling NISUS which takes about a normal working day, it was decided to prepare samples beforehand to manage the irradiation in one day. This procedure allowed the time required to stick the films on the shell not toxceed \({ }^{2}\) few minutes. The simplest way was found to be \({ }^{t_{0}}\) stick the SSTR on the outer surface of the boron carbide shell and on \(a\) Sellotape, for the inner and outer surface irradiations, respectively. When

TABLE 7.9

Comparison of fission ratios measured by fission chamber and SSTR
\begin{tabular}{|c|c|}
\hline Detector & \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios \\
\hline Fission chamber \\
SSTR \(^{*}\)
\end{tabular}

Note: * Irradiated with thin deposits.
the upper half of the uranium shell is removed the boron carbide can be placed inside and the Sellotape stuck on the outer surface of the uranium shell. The problem associated with the SSTR to be irradiated on the inner surface of the shell is not only that the American boron carbide is in constant use in the NISUS assembly, but that there is not enough space between this and the uranium shell to put the SSTR, as the outside diameter of the boron carbide shell is \(157.4 \pm 0.1 \mathrm{~mm}\), the same as the inner diameter of the uranium shell with a tolerance of 0.08 mm . The alternative was the use of the Belgian boron carbide shell with the outside diameter of \(144 \pm 0.1 \mathrm{~mm}\), leaving a gap of 6.7 mm between the boron carbide and the uranium shells. Although the gap was much smaller than the mean range of fission fragments in air, \(\sim 3 \mathrm{mg} / \mathrm{cm}^{2(13)}\), it was necessary to irradiate SSTR in \(2 \pi\) geometry in order that the scatteredfission fragments, other than those from the surface corresponding to the SSTR area, not. recorded. The solution was found by making three aluminium rings 16.0 mm wide with the thickness of 6.3 mm , so that when they clamp together they make a good arrangement for SSTR to stick on. The gap between the aluminium rings and the uranium shell is, therefore, 0.4 mm - almost the thickness of SSTR and Sellotape together. The films with diameter of 15 mm were stuck to the surface of the aluminium rings by means of a piece of Sellotape. In each ring a hole of diameter 12 mm was made to expose the SSTR. The centresof the films were at a distance apart of \(d=\pi D / n\) where \(D=157.48 \mathrm{~mm}\) is the inside diameter of the uranium she 11 , and \(n=12\) is the number of films.

The preparation for the \(S S T R\) to be irradiated on the outer surface of the uranium shell was made on 2 cloth-tape. Three cloth-tape ribbons were used for the three orthogonal circumferences, each 79.8 cm long. The position of the films were carefully marked on the sticking side. The films would be damaged when they weremoved if they were stuck directly to the sticking side of the tape. So some aluminium foils slightly bigger in diameter than the films were put under the track recorders. The films were then held by pieces of Sellotape with holes of diameter 12 mm , so that only an annular with \({ }^{2}\) nominal width of less than 2 mm was in contact with the sticking side of the Sellotape. Fig. 7.9 shows the positions of the track recorders on the NISUS uranium shell.
was
The measurement carried out at the reactor power of 1 kW for 20 min. The etched track recorders were then counted by the Quantimet 720. The results of track densities and fission rates/ \(\mathrm{cm}^{2}\) of the films are shown in Tables \(7.10,7.11\) and 7.12 for the planes \(x=0, y=0\) and \(z=0\) respectively. The overlap correction was made by using Equ. 4.3 and assuming the average track area of 180 pp (thick source). The fission rates distributions on the outer and inner surfaces of the NISUS uranium shell are shown in Figs. 7.10, 7.11 and 7.12 for three orthogonal planes \(x=0, y=0\) and \(z=0\) respectively. It is seen that in plane \(y=0\) (perpendicular to the access hole axis) the fission rate distribution is almost constant, rowshly whereas that in the other two planes is cosine shape. The cosine shape of the fission rate distribution is due to non-uniformity of thermal neutron source distribution in the graphite cavity block.


Fig. 7.9 Block diagram of the track recorder positions on the NISUS uranium shell.

TABLE 7.10

Track densities and fission rates for the SSTR irradiated on the NISUS uranium shell in plane \(X=0\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Position} & \multirow[b]{2}{*}{\begin{tabular}{l}
Film \\
No.
\end{tabular}} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Angle } \\
\beta^{\circ}
\end{gathered}
\]} & \multirow[b]{2}{*}{No. of frames} & \multirow[b]{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/cm \({ }^{2}\)} & \multirow{2}{*}{Fission/ \(\mathrm{cm}^{2} \mathrm{sec}\)} \\
\hline & & & & & Observed & Overlap corrected & \\
\hline \multirow{12}{*}{Outer surface} & - & 0 & - & - & - & - & - \\
\hline & 711 & 30 & 190 & 9722 & 20656 & 21047 & 16.539 \\
\hline & 712 & 60 & 173 & 10516 & 24538 & 25093 & 19.719 \\
\hline & 713 & 90 & 187 & 12640 & 27286 & 27976 & 21.984 \\
\hline & 714 & 120 & 189 & 16261 & 34731 & 35858 & 28.178 \\
\hline & 715 & 150 & 218 & 23624 & 43746 & 45558 & 35.801 \\
\hline & 705 & 180 & 225 & 27024 & 48485 & 50726 & 39.862 \\
\hline & 716 & 210 & 191 & 20293 & 42890 & 44629 & 35.071 \\
\hline & 717 & 240 & 146 & 13197 & 36489 & 37736 & 29.654 \\
\hline & - & 270 & - & - & - & - & - \\
\hline & 720 & 300 & 187 & 11399 & 24607 & 25165 & 19.775 \\
\hline & 719 & 330 & 196 & 9988 & 20571 & 20959 & 16.470 \\
\hline
\end{tabular}

TABLE 7.10 (continued)

Track densities and fission rates for the SSTR irradiated on the NISUS uranium shell in plane \(X=0\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Position} & \multirow[b]{2}{*}{\begin{tabular}{l}
Film \\
No.
\end{tabular}} & \multirow[b]{2}{*}{\begin{tabular}{l}
Angle \\
\(B^{0}\)
\end{tabular}} & \multirow[b]{2}{*}{No. of frames} & \multirow[b]{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/cm \({ }^{2}\)} & \multirow[b]{2}{*}{Fission/cm \({ }^{2} \mathrm{sec}\)} \\
\hline & & & & & Observed & Overlap corrected & \\
\hline \multirow{12}{*}{\begin{tabular}{l}
Inner \\
surface
\end{tabular}} & - & 0 & - & - & - & - & - \\
\hline & 740 & 30 & 171 & 1164 & 2748 & 2755 & 2.165 \\
\hline & 739 & 60 & 145 & 1058 & 2945 & 2953 & 2.321 \\
\hline & 741 & 90 & 194 & 1453 & 3023 & 3031 & 2.382 \\
\hline & 750 & 120 & 123 & 1098 & 3604 & 3616 & 2.842 \\
\hline & 744 & 150 & 96 & 1001 & 4209 & 4225 & 3.320 \\
\hline & 733 & 180 & 193 & 2087 & 4365 & 4382 & 3.444 \\
\hline & 743 & 210 & 198 & 2030 & 4139 & 4154 & 3.264 \\
\hline & 745 & 240 & 186 & 1734 & 3763 & 3776 & 2.967 \\
\hline & 747 & 270 & 163 & 1285 & 3182 & 3191 & 2.508 \\
\hline & 746 & 300 & 151 & 1116 & 2984 & 2991 & 2.350 \\
\hline & 748 & 330 & 213 & 1439 & 2727 & 2734 & 2.148 \\
\hline
\end{tabular}

Track densities and fission rates for the SSTR irradiated on the NISUS uranium shell in plane \(\mathrm{Y}=0\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Position} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Film } \\
\text { No. }
\end{gathered}
\]} & \multirow[b]{2}{*}{\begin{tabular}{l}
Angle \\
\(\gamma^{\circ}\)
\end{tabular}} & \multirow[b]{2}{*}{No. of frames} & \multirow[b]{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/ \(\mathrm{cm}^{2}\)} & \multirow[b]{2}{*}{Fission/cm \({ }^{2} \mathrm{sec}\)} \\
\hline & & & & & Observed & Overlap corrected & \\
\hline \multirow{12}{*}{\begin{tabular}{l}
Outer \\
surface
\end{tabular}} & 708 & 0 & 169 & 12148 & 29017 & 29800 & 23.418 \\
\hline & 727 & 30 & 186 & 13355 & 28985 & 29764 & 23.390 \\
\hline & 728 & 60 & 119 & 8636 & 29296 & 30092 & 23.647 \\
\hline & 713 & 90 & 187 & 12640 & 27286 & 27979 & 21.984 \\
\hline & 721 & 120 & 206 & 15567 & 30505 & 31369 & 24.651 \\
\hline & 722 & 150 & 208 & 15422 & 29931 & 30763 & 24.175 \\
\hline & - & 180 & - & - & - & - & - \\
\hline & 723 & 210 & 210 & 15410 & 29622 & 30436 & 23.918 \\
\hline & 724 & 240 & 230 & 17420 & 30574 & 31442 & 24.708 \\
\hline & - & 270 & - & - & - & - & - \\
\hline & 725 & 300 & 173 & 12304 & 28710 & 29474 & 23.162 \\
\hline & 726 & 330 & 201 & 14855 & 29834 & 30660 & 24.094 \\
\hline
\end{tabular}

TABLE 7.11 (continued)

Track densities and fission rates for the SSTR irradiated on the NISUS uranium shell in plane \(Y=0\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Position} & \multirow[b]{2}{*}{\begin{tabular}{l}
Film \\
No.
\end{tabular}} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Angle } \\
\gamma^{\circ}
\end{gathered}
\]} & \multirow[b]{2}{*}{No. of frames} & \multirow[b]{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/cm \({ }^{2}\)} & \multirow{2}{*}{Fission/cm \({ }^{2} \mathrm{sec}\)} \\
\hline & & & & & Observed & \begin{tabular}{l}
Overlap \\
corrected
\end{tabular} & \\
\hline \multirow{12}{*}{\begin{tabular}{l}
Inner \\
surface
\end{tabular}} & 736 & 0 & 181 & 1403 & 3129 & 3137 & 2.465 \\
\hline & 755 & 30 & 146 & 1068 & 2953 & 2961 & 2.327 \\
\hline & 756 & 60 & 178 & 1316 & 2985 & 2993 & 2.352 \\
\hline & 741 & 90 & 194 & 1453 & 3023. & 3031 & 2.382 \\
\hline & 749 & 120 & 159 & 1237 & 3141 & 3149 & 2.475 \\
\hline & 742 & 150 & 123 & 926 & 3039 & 3047 & 2.394 \\
\hline & - & 180 & - & - & - & - & - \\
\hline & 751 & 210 & 160 & 1231 & 3106 & 3115 & 2.448 \\
\hline & 752 & 240 & 146 & 1113 & 3077 & 3086 & 2.427 \\
\hline & 747 & 270 & 163 & 1285 & 3182 & 3192 & 2.508 \\
\hline & 751 & 300 & 141 & 1040 & 2978 & 2987 & 2.347 \\
\hline & 754 & 330 & 190 & 1445 & 3070 & 3078 & 2.419 \\
\hline
\end{tabular}

Track densities and fission rates for the SSTR irradiated on the NISUS uranium shell in plane \(\mathrm{z}=0\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Position} & \multirow[b]{2}{*}{\[
\begin{gathered}
\text { Film } \\
\text { No. }
\end{gathered}
\]} & \multirow[b]{2}{*}{\begin{tabular}{l}
Angle \\
\(\alpha^{\circ}\)
\end{tabular}} & \multirow[b]{2}{*}{\begin{tabular}{l}
No. of \\
frames
\end{tabular}} & \multirow[b]{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/cm \({ }^{2}\)} & \multirow[b]{2}{*}{Fission/ \(\mathrm{cm}^{2} \mathrm{sec}\)} \\
\hline & & & & & Observed & Overlap corrected & \\
\hline \multirow{12}{*}{\begin{tabular}{l}
Outer \\
surface
\end{tabular}} & - & 0 & - & - & - & - & - \\
\hline & 701 & 30 & 202 & 10658 & 21299 & 21715 & 17.064 \\
\hline & 702 & 60 & 233 & 14388 & 24928 & 25501 & 20.040 \\
\hline & - & 90 & - & - & - & - & - \\
\hline & 703 & 120 & 235 & 20351 & 34959 & 36102 & 28.370 \\
\hline & 704 & 150 & 240 & 26404 & 44412 & 46281 & 36.369 \\
\hline & 705 & 180 & 225 & 27024 & 48485 & 50726 & 39.862 \\
\hline & 706 & 210 & 226 & 25429 & 45421 & 47379 & 37.232 \\
\hline & 707 & 240 & 230 & 20542 & 36054 & 37271 & 29.289 \\
\hline & 708 & 270 & 169 & 12148 & 29017 & 29800 & 23.418 \\
\hline & 709 & 300 & 238 & 14411 & 24443 & 24993 & 19.640 \\
\hline & 710 & 330 & 242 & 12843 & 21423 & 21844 & 17.166 \\
\hline
\end{tabular}

Track densities and fission rates for the SSTR irradiated on the NISUS uranium shell in plane \(Z=0\)
\begin{tabular}{|c|c|c|c|c|c|c|c|}
\hline \multirow[b]{2}{*}{Position} & \multirow[b]{2}{*}{\begin{tabular}{l}
Film \\
No.
\end{tabular}} & \multirow[b]{2}{*}{\begin{tabular}{l}
Angle \\
\(\alpha^{\circ}\)
\end{tabular}} & \multirow[b]{2}{*}{} & \multirow[b]{2}{*}{Total count} & \multicolumn{2}{|l|}{Tracks/cm \({ }^{2}\)} & \multirow[b]{2}{*}{Fission/ \(\mathrm{cm}^{2} \mathrm{sec}\)} \\
\hline & & & & & Observed & Overlap corrected & \\
\hline \multirow{12}{*}{\begin{tabular}{l}
Inner \\
surface
\end{tabular}} & - & 0 & - & - & - & - & - \\
\hline & 729 & 30 & 230 & 1559 & 2736 & 2743 & 2.156 \\
\hline & 730 & 60 & 175 & 1289 & 2973 & 2981 & 2.343 \\
\hline & - & 90 & - & - & - & - & - \\
\hline & 731 & 120 & 186 & 1634 & 3546 & 3557 & 2.795 \\
\hline & 732 & 150 & 219 & 2299 & 4238 & 4254 & 3.343 \\
\hline & 733 & 180 & 193 & 2087 & 4365 & 4382 & 3.444 \\
\hline & 734 & 210 & 211 & 2204 & 4217 & 4233 & 3.326 \\
\hline & 735 & 240 & 194 & 1757 & 3656 & 3668 & 2.882 \\
\hline & 736 & 270 & 181 & 1403 & 3129 & 3138 & 2.466 \\
\hline & 737 & 300 & 218 & 1570 & 2907 & 2915 & 2.291 \\
\hline & 738 & 330 & 195 & 1335 & 2764 & 2771 & 2.178 \\
\hline
\end{tabular}


Fig. 7.10 Fission rate distribution on the NISUS uranium shell in plane \(X=0\)


Fig. 7.11 Fission rate distribution on the NISUS uranium shell in plane \(Y=0\)


Fig. 7.12 Fission rate distribution on the NISUS uranium shell in plane \(Z=0\)

In both planes \(x=0\) and \(z=0\) the fission rates distributions are broader on the inner surface than on the outer surface. This is because of the neutron scattering and slowing down through the shell which makes the flux more uniform on the inner surface than on the outer. The peak-to-valley ratio of the fission rate distribution on the outer surface of the uranium she11 is about 2.32. Fabry et al (108) have made a similar measurement by using thin copper foils placed only on the outer surface of the \(\Sigma \Sigma\) uranium shell. They found that the maximum to minimum activity ratio is 2.3 and detailed data 3re associated to the overall gradient of the available thermal flux in the empty cavity.

The ratios of the fission rates of the outer surface to those of the inner surface for three othogonal planes are shown in Table 7.13. Fig. 7.13 shows the fission ratios distributions in the NISUS uranium shell. It is seen that these distributions are similar to those of fission rates in three orthogonal planes. This means that the fission ratio is not constant as it is predicted by the ANISN transport code. The ANISN calculation showed the value of 8.5 for the fission ratios in the NISUS uranium shel1 (see Fig. 5.7). It is, however, notable that ANISN prediction is \({ }^{\text {an }}\) underestimate and this value approaches the true ratio upnincreasing the number of mesh points in the uranium shell or upon extrapolating the relative fission rate to the outer diameter of the she11.

\section*{TABLE 7.13}

Fission ratios in the NISUS uranium shell
in three orthogonal planes
\begin{tabular}{|c|c|c|c|}
\hline \multirow[b]{2}{*}{\begin{tabular}{l}
Angle \\
\(\theta^{\circ}\)
\end{tabular}} & \multicolumn{3}{|c|}{Fission ratio} \\
\hline & Plane
\[
X=0
\] & \begin{tabular}{l}
Plane \\
\(\mathrm{Y}=0\)
\end{tabular} & Plane
\[
\mathrm{Z}=0
\] \\
\hline 0 & - & 9.50 & - \\
\hline 30 & 7.64 & 10.05 & 7.92 \\
\hline 60 & 8.50 & 10.05 & 8.56 \\
\hline 90 & 9.23 & 9.23 & - \\
\hline 120 & 9.92 & 9.96 & 10.15 \\
\hline 150 & 10.78 & 10.09 & 10.88 \\
\hline 180 & 11.58 & - & 11.58 \\
\hline 210 & 10.74 & 9.77 & 11.19 \\
\hline 240 & 9.99 & 10.19 & 10.16 \\
\hline 270 & - & - & 9.50 \\
\hline 300 & 8.41 & 9.87 & 8.57 \\
\hline 330 & 7.67 & 9.96 & 7.88 \\
\hline
\end{tabular}


Fig. 7.13 Fission ratio distribution in the NISUS uranium shell in three orthogonal planes.

\section*{8. SUMMARY AND CONCLUSIONS}

The purpose of the research was to perform fission rate measurements in the Neutron Intermediate Standard Uranium Source (NISUS) with double fission chamber and solid-state track recorder and to compare the measurements with the one-dimensional discrete ordinates transport code ANISN. Calculations were also made to investigate sensitivities of the central NISUS spectrum and reaction rate ratios to the uncertainties in the macroscopic configuration and nuclear data file used. The effectsof these uncertainties were studied by making a comparison between NISUS and MOL- \(\Sigma \Sigma\) standard neutron fields.

At the first stage of the project an accurate and reproducible frocelure
fission track counting using the Quantimet 720 was established. This was made by a series of measurements in which SSTR were irradiated with the NISUS uranium plug and, after etching, counted by eye and the Quantimet. The track recorders met all requirements for track counting, i.e. satisfactory track density, low background, high contrast, and uniformity of the features. A wide range of track density was chosen, from about \(1.3 \times 10^{3}\) tracks \(/ \mathrm{cm}^{2}\) to about \(6.6 \times 10^{4}\) tracks \(/ \mathrm{cm}^{2}\), to study the performance and accuracy of the Quantimet 720 with eye counting. The lower limit arises since the track density at This level
becomes too low for accurate measurements, while the upper limit comes from the practical limit of the overlapping problem. The results of the fission track counting by eye and the Quantimet 720 showed that either method is capable of precision of \(\pm 2 \%\) or better in fission
rate ratios. At this level of statistical accuracy no evidence has been found that the variance of the measurement exceeds that expected from random sampling errors provided that the track densities are not greater than \(5 \times 10^{4}\) tracks/cm \({ }^{2}\) for eye or Quantimet counting, or less than \(2 \times 10^{3}\) tracks \(/ \mathrm{cm}^{2}\) for eye counting. The relative efficiency of the Quantimet to eye counting was found to be \(.975 \pm .005\) (random). This value is subject to a systematic error of \(\pm 2 \%\) attributable to the calibration of the fields of view in both methods.

The sensitivity of the central NISUS spectrum and reaction rates to the macroscopic parameters and cross sections were studied in detail using ANISN transport code with GALAXY 37 energy group structure. In the reaction rate calculations the response of 20 reactions were found relative to the most fundamental reaction rate, \({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\). The macroscopic uncertainties included density (of graphite, boron carbide and uranium), impurity (moisture and \({ }^{10}{ }_{B}\) in graphite), abundance ( \({ }^{10} \mathrm{~B}\) natural abundance) and tolerance (in Al cladding and \(B_{4} C\) shell). These macroscopic uncertainties were mainly based on the NISUS and \(\Sigma \Sigma\) detailed material and geometrical data and consequently the comparison is between these two standard neutron fields. The uncertainties studies in the nuclear data file were those in the fission cross sections of \({ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\).

ANISN calculation showed that as far as central NISUS spectrum was concerned, the effect of uranium density variations is less than \(\pm 0.4 \%\) above \(\sim 70 \mathrm{keV}\), while those of graphite and boron carbide are about \(+12 \%\) and \(+1 \%\) respectively in the same energy range. The
effects of 250 ppm moisture and \(0.4 \mathrm{ppm}{ }^{10} \mathrm{~B}\) in graphite were found to be to reduce the NISUS central flux in all groups by about \(13 \%\) and \(38 \%\) respectively. However, the ratios of the flux in all groups To
in the two spectra for both cases were constant better than \(\pm 1 \%\). The NISUS central flux was calculated for \({ }^{10} 0_{B}\) natural abundance of \(19.78 \%\) (NISUS) and \(18.37 \%\) ( \(\Sigma \Sigma\) ). It was found that so far as spectrum measurement was concerned the abundance variation effect is negligible (< 1\%) above 70 keV , but it is significant in the thermal region. The effects of tolerance of 1 mm in the \(\mathrm{B}_{4} \mathrm{C}\) shell and 0.5 mm in its A1 cladding were found to be about \(\pm 1 \%\) or less in the NISUS central spectrum above 70 keV .

The sensitivities of NISUS central flux to the \({ }^{235} \mathrm{U}\) and \({ }^{238} 8_{\mathrm{U}}\) fission cross sections were calculated by assuming a change of \(\pm 2 \%\) in the \({ }^{235} \mathrm{U}(\mathrm{n}, \mathrm{f})\) cross sections and a change of \(\pm 2 \%\) in the \({ }^{238} \mathrm{U}\) ( \(\mathrm{n}, \mathrm{f}\) ) cross sections above threshold and \(\pm 10 \%\) covering threshold region respectively. The results showed that a change of \(-2 \%\) in the \({ }^{235} \mathrm{U}\) fission cross sections in all groups results in a change of about \(-4.6 \%\) in the total flux. The NISUS central spectrum is less sensitive to the \({ }^{238} \mathrm{U}\) fission cross sections since the effects of \(\pm 2 \%\) change above threshold and \(\pm 10 \%\) change covering threshold region were found to be less than \(\pm 1 \%\).

In the reaction rate calculations the effect of uranium density variation was found to be small for all reactions, i.e. less than \(0.4 \%\), and those of the graphite and boron carbide density are less than \(0.8 \%\) for the threshold detectors. The ANISN calculation showed that for thermal detectors a decrease in graphite density from
\(1.722 \mathrm{gm} / \mathrm{cm}^{3}\) (NISUS) to \(1.60 \mathrm{gm} / \mathrm{cm}^{3}(\Sigma \Sigma)\) corresponds to a decrease of about \(2.5 \%\) or less in the reaction rate ratios, while a decrease in \(B_{4} C\) density from \(1.58 \mathrm{gm} / \mathrm{cm}^{3}\) (NISUS) to \(1.49 \mathrm{gm} / \mathrm{cm}^{3}(\Sigma \Sigma)\) results in an increase of about \(4 \%\) or less in the reaction rate ratios. This means that the denser graphite and boron carbide shell in NISUS than in \(\Sigma \Sigma\) compensate each other in the reaction rate ratios so that the net effect remains more or less unchanged. The effect of impurities in graphite (moisture and \({ }^{10} \mathrm{~B}\) ) was found to be negligible (< \(0.2 \%\) ) as far as reaction rate ratios are concerned. The effect of variation in \({ }^{10} \mathrm{~B}\) abundance from \(19.78 \%\) (NISUS) to \(18.37 \%\) ( \(\Sigma \Sigma\) ) is about \(-1 \%\) and \(+4 \%\) in the reaction rate ratios for the threshold and thermal detectors respectively. The reaction rate ratios are insensitive to 0.5 mm tolerance of the Al cladding, but . the The reation ratios tolerance of 1 mm in the \(\mathrm{B}_{4} \mathrm{C}\) shell increases by about \(4.5 \%\) or less for thermal detectors. While no effect was observed for the threshold detectors. The ANISN calculation showed that the reaction rate ratios are insensitive to any change in the \({ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\) fission cross sections.

The NISUS and MOL- \(\Sigma \Sigma\) central spectrum and reaction rate ratios were calculated with GALAXY nuclear data file and were compared with the aim to diegnose any difference between the two assemblies. It was found that the NISUS and \(\Sigma \Sigma\) central spectra are in agreement to within \(3 \%\) above \(\approx 70 \mathrm{keV}\). The agreement departs sharply in the lower tail of the spectrum due to differences in the boron carbide density and \({ }^{10} \mathrm{~B}\) abundance which have a great effect in this region of the spectrum. The reaction rate ratios of the threshold detectors
in \(\Sigma \Sigma\) were found to be less than \(1.3 \%\) smaller than those in NISUS. It follows that the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio in \(\Sigma \Sigma\) is \(1.3 \%\) less than that in NISUS, in good agreement with measurement which gives \(.05735 \pm .39 \%\) in NISUS and \(.05636 \pm .22 \%\) in \(\sum \sum\) with the discrepancy of \(+1.7 \%\).

A set of experiments were carried out in NISUS by the NBS and ULRC double fission chambers and the results were compared with those of the \(\Sigma \Sigma\). These measurements including \({ }^{239} \mathrm{Pu},{ }^{237} \mathrm{~Np},{ }^{235} \mathrm{U}\) and \({ }^{238} \mathrm{U}\) fissionable deposits were performed with a dual triplescaler counting system which monitors each side of the fission chamber independently. Two mutually independent monitor systems have been used for reactor powere monitoring during the course of fission rate measurements in NISUS: (i) two pulse fission chambers, and (ii) two Au foils in the graphite thermal column with the aim of checking the chambers' performance. It was found that the long term monitoring consistency may not be achieved with fission chambers due to drifting in electronic system. Because of this drawback, it was necessary to adjust the gain and/or the discriminator levels or both from time to time to obtain a consistent result. Nevertheless, the variation in the fission chamber monitor 1 was found to be \(\approx 0.5 \%\), and that of the monitor 2 about \(2 \%\). In the case of the Au foil monitors the variation for the foils in position \(A\) was \(1.3 \%\) and that for the foils in position B was 1.5\%. In the present fission rate measurements both fission chamber 1 and Au foil A monitors were taken for reactor power monitoring.

The central NISUS fission ratios measured by the NBS fission chamber were compared with those of the \(\Sigma \Sigma\). The same chamber and deposits have already been exposed at the \(\Sigma \Sigma\) centre and hence the comparison was between the central fission ratios of the two assemblies. The early \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) fission ratio measurements in NISUS revealed a discrepancy of \(\sim_{+} 2 \%\) compared with that of \(\Sigma \Sigma\). In subsequent measure \({ }^{-}\) ments the \({ }^{235} \mathrm{U}\) fission rates with bare chamber were found to be about \(1 \%\) higher than those with the cadmium box. The higher fission rates in \({ }^{239} \mathrm{Pu}\) and \({ }^{235} \mathrm{U}\) were found to be due to thermal neutron streaming through the access hole. The measurements of \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U}\) fission The chamer, and and \(t\) ratios with bare, cadmium box and cadmium shield against thermal neutron streaming, showed that the thermal neutrons observed with the bare chamber were indeed coming from the direction of the access hole. The final results of the \({ }^{239} \mathrm{Pu} /{ }^{238} \mathrm{U},{ }^{239} \mathrm{Pu} /{ }^{235} \mathrm{U}\) and \({ }^{237} \mathrm{~Np} /{ }^{235} \mathrm{U}\) fission ratios in the centre of NISUS showed an agreement better than \(\pm 0.6 \%\) with those of \(\Sigma \Sigma\). The \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio in NISUS was found to be about \(1.7 \%\) higher than that in \(\Sigma \Sigma\), as it was predicted by the ANISN transport code.

The measurements with the ULRC fission chamber were performed with the NBS, AWRE and ULRC \({ }^{235} U\) and \({ }^{238} \mathrm{U}\) fissionable deposits. These measurements had three different feature: (i) to calibrate the mass of the AWRE and ULRC deposits against those of the NBS, (ii) to measure the central NISUS \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios, and (iii) to determine the detection efficiency of the Makrofol SSTR and to find the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratio by track recorder technique. The mass assay of the NBS fissionable deposits originally used in
the Coupled Fast Reactivity Measurement Facility (CFRMF) has been determined by absolute alpha emission rate measurements complemented by fission comparison counting in the thermal neutron beam at the NBS Research Reactor and also at the centre of \(\Sigma \Sigma\) standard neutron field. In the present work, however, the mass assay of the NBS deposits has been taken as reference. The measurements of the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios by the ULRC chamber and with the NBS, AWRE and ULRC deposits showed that the agreement between these three sets of deposits with different mass and size is better than \(0.6 \%\) for monitor chamber and \(\sim 1.7 \%\) for the gold monitor. These variations reflect the consistency of the ULRC chamber performance for these deposits. The comparison between the \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios in NISUS obtained by the ULRC and NBS chambers with the same deposits showed that the value with the ULRC chamber is \(\sim 3 \%\) less than that with the NBS chamber. This may be due to corrections applied for the epicadmium streaming and chamber moderation in the NBS chamber data. No comparable correction has been made for the ULRC chamber data since no effect has been demonstrated experimentally. Further work is needed to elucidate these corrections for the ULRC chamber measurements.

A set of experiments were carried out with track recorders to calibrate SSTR against fission chamber. In this calibration the detection efficiency of the Makrofol SSTR was found to be ( \(94.3 \pm .64\) ) \% for the thin deposits. The dominant uncertainties in the area of the thick deposits resulted in the detection efficiency of close to unity. Measurements of the diameter of the thick deposits both from the
track densities near the edge and from a microscope traverse along the fission source, showed that the area of an approximately \(1 \mathrm{mg} / \mathrm{cm}^{2}\) fissionable deposit is subject to an uncertainty of \(\sim \pm 3 \%\). The measurements of \({ }^{238} \mathrm{U} /{ }^{235} \mathrm{U}\) fission ratios with SSTR showed a discrepancy of about \(3 \%\) compared with those of the fission chamber. Nevertheless, these measurements have provided valuable assurances of reliability because of their systematic independence and added redundancy.

The fission rate distribution on the outer and inner surfaces of the NISUS uranium shell has been measured in three orthogonal planes using Makrofol SSTR. The results showed that the distribution on the that plane perpendicular to thermal column axis is constant, while in the of roushly
other two planes is cosine shape. It has been shown that the fission rate distributions are broader on the inner surface than on the outer surface of the uranium she11. This means that the fission rate distribution on the inner surface is more uniform than on the outer surface due to neutron scattering and slowing down within the shell. The fission ratios of the outer surface to the inner surface at different positions are not constant as is predicted by the ANISN one-dimensional transport code. The fission ratios are constant in the plane perpendicular to the thermal column axis, and have "cosine shape distributions on the other two orthogonal planes.

Finally it may be briefly concluded that:
(1) it has been established that the automatic fission track counting by a Quantimet 720 is an accurate and reproducible technique, and that the precision of \(\pm 2 \%\) is obtained in the fission ratios;
(2) the NISUS and \(\sum \sum\) standard neutron fields are very similar both
for the spectra (above \(\sim 70 \mathrm{keV}\) ) and reaction rates if acceptable accuracies are \(\pm 3 \%\) and \(\pm 2 \%\) respectively;
(3) it has been proved that the fission chamber technique is a very accurate means for measuring fission rates, and that a precision leve1 of betther than \(\pm 1 \%\) has been obtained. Accuracy levels attained are of the order of \(\pm 2.7 \%\) and are dominated by uncertainties in the isotopic masses of the fissionable deposits. These uncertainties may be reduced to near \(\pm 1 \%\) with further application of existing mass assay techniques;
(4) the track recorder technique may not, and probably cannot, replace the fission chamber in fission rate measurements. The accuracy of this technique is limited because of (i) track-counting bias, (ii) inherent statistical 1 imitations and (ii) etching procedure. These uncertainties combined with those of the mass and area of the deposits result in an overall accuracy levels no better than \(3 \%\).

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APPENDIX A

Individual results of the fission chamber
irradiations at NISUS centre

TABLE A

Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & \begin{tabular}{l}
Foil \\
identification
\end{tabular} & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\underset{(c p s)}{S_{U}}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(S_{L} / S_{U}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & ```
    Monitor
chamber 1
    *-(cps)
``` & ```
Monitor
chamber 2
    (cps)
``` & \begin{tabular}{l}
Moni 2/ \\
Moni 1
\end{tabular} \\
\hline \multirow[t]{2}{*}{\(1{ }^{\text {(a) }}\)} & NBS 49 I-1-1 & \(64.17 \pm .15\) & \(63.95 \pm .12\) & \(32.94 \pm .08\) & \[
\begin{aligned}
& 1.00339 \\
& \pm .00042
\end{aligned}
\] & \[
\begin{array}{r}
.51578 \\
\pm .00370
\end{array}
\] & \(1319.8 \pm .8\) & _(b) & - \\
\hline & NBS \(28 \mathrm{~N}-5-2\) & \(20.13 \pm .07\) & \(19.53 \pm .07\) & \(9.67 \pm .04\) & \[
\begin{array}{r}
1.02570 \\
\pm .00195
\end{array}
\] & \[
\begin{array}{r}
.49453 \\
\pm .00458
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{2} & NBS 37 S-5-1 & \(115.24 \pm .11\) & \(113.87 \pm .11\) & \(41.87 \pm .07\) & \[
\begin{aligned}
& 1.01202 \\
& \pm .00071
\end{aligned}
\] & \[
\begin{array}{r}
.36771 \\
\pm .00239
\end{array}
\] & \(1323.1 \pm .6\) & \(548.1 \pm .5\) & \[
\begin{array}{r}
.4143 \\
\pm .0004
\end{array}
\] \\
\hline & NBS 25 S-2-3 & \(111.07 \pm .13\) & \(110.62 \pm .15\) & \(49.04 \pm .10\) & \[
\begin{array}{r}
1.00557 \\
\pm .00040
\end{array}
\] & \[
\begin{array}{r}
.44289 \\
\pm .00258
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{\(3^{(c)}\)} & NBS 37 S-5-1 & \(57.39 \pm .08\) & \(56.72 \pm .08\) & \(20.90 \pm .07\) & \[
\begin{aligned}
& 1.01190 \\
& \pm .00080
\end{aligned}
\] & \[
\begin{array}{r}
.36829 \\
\pm .00300
\end{array}
\] & \(1323.0 \pm .8\) & \(548.4 \pm .4\) & \[
\begin{array}{r}
.4145 \\
\pm .0004
\end{array}
\] \\
\hline & NBS 25 S-2-3 & \(55.00 \pm .10\) & \(54.70 \pm .09\) & \(24.31 \pm .07\) & \[
\begin{array}{r}
1.00551 \\
\pm .00037
\end{array}
\] & \[
\begin{array}{r}
.44445 \\
+.00295
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{4} & NBS \(28 \mathrm{HD}-5-1\) & \(17.33 \pm .06\) & \(17.07 \pm .06\) & \(4.97 \pm .04\) & \[
\begin{array}{r}
1.01513 \\
\pm .00158
\end{array}
\] & \[
\begin{array}{r}
.29035 \\
\pm .00474
\end{array}
\] & \(1321.9 \pm .6\) & \(547.8 \pm 1.0\) & \[
\begin{array}{r}
.4144 \\
\pm .0020
\end{array}
\] \\
\hline & NBS 25 S-2-3 & \(111.33 \pm .12\) & \(110.78 \pm .15\) & \(42.13 \pm .27\) & \[
\begin{array}{r}
1.00557 \\
\pm .00046
\end{array}
\] & \[
\begin{array}{r}
.37478 \\
\pm .00361
\end{array}
\] & & & \\
\hline
\end{tabular}

Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & \begin{tabular}{l}
Foil \\
identification
\end{tabular} & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{U}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(S_{L} / S_{U}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & Monitor chamber 1 (cps) & Monitor chamber 2 (cps) & \begin{tabular}{l}
Moni 2/ \\
Moni 1
\end{tabular} \\
\hline \multirow[t]{2}{*}{6} & NBS 25 S-2-3 & \(110.68 \pm .21\) & \(110.59 \pm .21\) & \(97.96 \pm .15\) & \[
\begin{array}{r}
1.00998 \\
\pm .00051
\end{array}
\] & \[
\begin{array}{r}
.89440 \\
\pm .00189
\end{array}
\] & \(1325.5 \pm .6\) & \(546.9 \pm .4\) & \[
\begin{array}{r}
.4126 \\
\pm .0004
\end{array}
\] \\
\hline & AWRE 25 & \(65.02 \pm .11\) & \(64.62 \pm .10\) & \(60.39 \pm .09\) & \[
\begin{array}{r}
1.00628 \\
\pm .00046
\end{array}
\] & \[
\begin{array}{r}
.93465 \\
\pm .00216
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{7} & NBS 49 I-1-1 & \(62.60 \pm .15\) & \(62.37 \pm .15\) & \(25.92 \pm .13\) & \[
\begin{array}{r}
1.00375 \\
\pm .00041
\end{array}
\] & \[
\begin{array}{r}
.41554 \\
\pm .00465
\end{array}
\] & \(1316.5 \pm .6\) & _(b) & - \\
\hline & NBS \(28 \mathrm{~N}-5-2\) & _ (b) & - & - & - & - & & & \\
\hline \multirow[t]{2}{*}{\(8^{(c)}\)} & NBS 49 I-1-1 & \(60.55 \pm .11\) & \(60.31 \pm .12\) & \(24.96 \pm .09\) & \[
\begin{array}{r}
1.00388 \\
\pm .00037
\end{array}
\] & \[
\begin{array}{r}
.41387 \\
+.00336
\end{array}
\] & \(1313.3 \pm .7\) & \(546.8 \pm .4\) & \[
\begin{array}{r}
.4163 \\
\pm .0004
\end{array}
\] \\
\hline & NBS \(28 \mathrm{~N}-5-2\) & - \({ }^{\text {(b) }}\) & - & - & - & - & & & \\
\hline \multirow[t]{2}{*}{\(9^{(d)}\)} & NBS 49 I-1-1 & \(61.04 \pm .20\) & \(60.89 \pm .15\) & \(29.03 \pm .08\) & \[
\begin{array}{r}
1.00449 \\
\pm .00020
\end{array}
\] & \[
\begin{array}{r}
.47880 \\
\pm .00386
\end{array}
\] & \(1314.6 \pm .8\) & \(547.2 \pm .5\) & \[
\begin{array}{r}
.4163 \\
\pm .0004
\end{array}
\] \\
\hline & NBS \(28 \mathrm{~N}-5-2\) & \(19.81 \pm .08\) & \(19.50 \pm .09\) & \(9.98 \pm .06\) & \[
\begin{array}{r}
1.02665 \\
+.00124
\end{array}
\] & \[
\begin{array}{r}
.51145 \\
\pm .00644
\end{array}
\] & & . & \\
\hline
\end{tabular}

TABLE A (continued)
Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & identif & \begin{tabular}{l}
il \\
ication
\end{tabular} & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
S_{U} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(S_{L} / S_{U}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & Monitor chamber 1 (cps) & Monitor chamber 2 (cps) & Moni \(2 /\)
Moni 1 \\
\hline \multirow[t]{2}{*}{12} & \multicolumn{2}{|l|}{NBS \(28 \cdots \mathrm{~N}-5-2\)} & \[
16.79 \pm .06
\] & \(16.42 \pm .05\) & \(11,05 \pm .06\) & \[
\begin{aligned}
& 1.02288 \\
& \pm .00195
\end{aligned}
\] & \[
\begin{array}{r}
.67409 \\
\pm .00849
\end{array}
\] & \multirow[t]{2}{*}{\(1323.9 \pm .8\)} & \multirow[t]{2}{*}{\(543.9 \pm .7\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.4109 \\
\pm .0006
\end{array}
\]} \\
\hline & \multicolumn{2}{|l|}{ULRC-3 28} & \(20.55 \pm .09\) & \(20.05 \pm .09\) & \(13.32 \pm .06\) & \[
\begin{aligned}
& 1.02489 \\
& \pm .00143
\end{aligned}
\] & \[
\begin{array}{r}
.66457 \\
\pm .00404
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{14} & \multicolumn{2}{|l|}{ULRC-4 25} & \(37.12 \pm .07\) & \(36.64 \pm .07\) & \(7.99 \pm .04\) & \[
\begin{array}{r}
1.01302 \\
\pm .00099
\end{array}
\] & \[
\begin{array}{r}
.21815 \\
\pm .00328
\end{array}
\] & \multirow[t]{2}{*}{\(1319.3 \pm .3\)} & \multirow[t]{2}{*}{\(541.8 \pm 3\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.4107 \\
\pm .0009
\end{array}
\]} \\
\hline & \multicolumn{2}{|l|}{ULRC-6 25} & \(164.15 \pm .16\) & \(162.22 \pm .15\) & \(45.62 \pm .07\) & \[
\begin{aligned}
& 1.01195 \\
& \pm .00034
\end{aligned}
\] & \[
\begin{array}{r}
.28124 \\
\pm .00134
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{15} & \multicolumn{2}{|l|}{ULRC-6 25} & \(165.30 \pm .27\) & \(162.57 \pm .29\) & \(33.51 \pm .06\) & \[
\begin{array}{r}
1.01645 \\
\pm .00038
\end{array}
\] & \[
\begin{array}{r}
.20609 \\
\pm .00080
\end{array}
\] & \multirow[t]{2}{*}{\(1330.1 \pm .6\)} & \multirow[t]{2}{*}{\(549.0 \pm .3\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.4127 \\
\pm .0012
\end{array}
\]} \\
\hline & \multicolumn{2}{|l|}{ULRC-4. 25} & \(37.78 \pm .11\) & \(37.36 \pm .09\) & \(12.55 \pm .04\) & \[
\begin{array}{r}
1.00990 \\
\pm .00096
\end{array}
\] & \[
\begin{array}{r}
.33596 \\
\pm .00272
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{16} & \multicolumn{2}{|l|}{ULRC-3 28} & \multirow[t]{2}{*}{\[
\begin{array}{r}
20.85 \pm .06 \\
163.78 \pm .14
\end{array}
\]} & \multirow[t]{2}{*}{\[
\begin{array}{r}
20.37 \pm .06 \\
161.91 \pm .15
\end{array}
\]} & \(3.81 \pm .03\) & \[
\begin{array}{r}
1.02295 \\
\pm .00180
\end{array}
\] & \multirow[t]{2}{*}{\[
\begin{array}{r}
.18725 \\
\pm .00609 \\
.27162 \\
\pm .00211
\end{array}
\]} & \multirow[t]{2}{*}{\(1343.9 \pm 2.4\)} & \multirow[t]{2}{*}{\(550.0 \pm .4\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.4093 \\
\pm .0034
\end{array}
\]} \\
\hline & ULRC-6 & 25 & & & \(43.98 \pm .08\) & \[
\begin{aligned}
& 1.01119 \\
& \pm .00161
\end{aligned}
\] & & & & \\
\hline
\end{tabular}

Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & \multicolumn{2}{|l|}{```
    Foil
identification
```} & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{U}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(S_{L} / S_{U}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & ```
Monitor
chamber 1
    (cps)
``` & ```
Monitor
chamber 2
    (cps)
``` & \begin{tabular}{l}
Moni 2/ \\
Moni 1
\end{tabular} \\
\hline \multirow[t]{2}{*}{17} & ULRC-4 & & SSTR & - & - & - & - & \(1331.7 \pm .7\) & \(550.0 \pm 1.1\) & \[
\begin{array}{r}
.4130 \\
+.0015
\end{array}
\] \\
\hline & ULRC-6 & 25 & \(163.32 \pm .22\) & \(161.40 \pm .25\) & \(44.70 \pm .14\) & \[
\begin{array}{r}
1.01195 \\
\pm .00053
\end{array}
\] & \[
\begin{array}{r}
.27695 \\
\pm .00190
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{18} & AWRE & 25 & \(64.12 \pm .14\) & \(63.70 \pm .07\) & \(14.02 \pm .03\) & \[
\begin{array}{r}
1.00813 \\
\pm .00071
\end{array}
\] & \[
\begin{array}{r}
.22015 \\
+.00289
\end{array}
\] & \(1330.3 \pm .5\) & \(552.5 \pm .3\) & \[
\begin{array}{r}
.4152 \\
\pm .0025
\end{array}
\] \\
\hline & ULRC-6 & 25 & \(163.48 \pm .11\) & \(161.62 \pm .11\) & \(48.74 \pm .06\) & \[
\begin{aligned}
& 1.01182 \\
& \pm .00044
\end{aligned}
\] & \[
\begin{array}{r}
.30157 \\
\pm .00231
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{19} & AWRE & 28 & \(34.86 \pm .06\) & \(34.57 \pm .05\) & \(11.47 \pm .03\) & \[
\begin{array}{r}
1.01036 \\
\pm .00087
\end{array}
\] & \[
\begin{array}{r}
.33178 \\
\pm .00529
\end{array}
\] & \(1334.5 \pm .3\) & \(568.2 \pm .2\) & \[
\begin{array}{r}
.4257 \\
\pm .0012
\end{array}
\] \\
\hline & ULRC-3 & 28 & \(20.78 \pm .09\) & \(20.37 \pm .04\) & \(3.75 \pm .02\) & \[
\begin{array}{r}
1.02210 \\
\pm .00193
\end{array}
\] & \[
\begin{array}{r}
.18425 \\
\pm .00545
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{20} & ULRC-5 & 25 & \(159.03 \pm .13\) & \(156.62 \pm .13\) & \(33.00 \pm .06\) & \[
\begin{aligned}
& 1.01527 \\
& \pm .00043
\end{aligned}
\] & \[
\begin{array}{r}
.21068 \\
\pm .00200
\end{array}
\] & \(1333.3 \pm .7\) & \(551.3 \pm .3\) & \[
\begin{array}{r}
.4134 \\
\pm .0014
\end{array}
\] \\
\hline & ULRC-6 & 25 & \(163.76 \pm .17\) & \(161.91 \pm .16\) & \(54.04 \pm .08\) & \[
\begin{array}{r}
1.01116 \\
\pm .00058
\end{array}
\] & \[
\begin{array}{r}
.33374 \\
\pm .00198
\end{array}
\] & & & \\
\hline
\end{tabular}

TABLE A (continued)

Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & identif & \begin{tabular}{l}
1 \\
cation
\end{tabular} & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{U}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(S_{L} / S_{U}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & \begin{tabular}{l}
Monitor \\
chamber 1 (cps)
\end{tabular} & \begin{tabular}{l}
Monitor \\
chamber 2 (cps)
\end{tabular} & \begin{tabular}{l}
Moni 2/ \\
Moni 1
\end{tabular} \\
\hline \multirow[t]{2}{*}{21} & \multicolumn{2}{|l|}{\[
\text { U1RC-3 } 28
\]} & \multirow[t]{2}{*}{\[
\begin{aligned}
& 20.80 \pm .04 \\
& 75.23 \pm .14
\end{aligned}
\]} & \(20.30 \pm .04\) & \(3.60 \pm .02\) & \[
\begin{array}{r}
1.02208 \\
\pm .00143
\end{array}
\] & \[
\begin{array}{r}
.17756 \\
+.00382
\end{array}
\] & \(1331.1 \pm 1.5\) & \(550.1 \pm .5\) & \[
\begin{array}{r}
.4135 \\
\pm .0012
\end{array}
\] \\
\hline & ULRC-1 & & & \(71.94 \pm .11\) & \(13.05 \pm .03\) & 1.04602
\(\pm .00353\) & \[
\begin{array}{r}
.18128 \\
\pm .00234
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{\(22^{(\mathrm{e})}\)} & U1RC-5 & 25 & SSTR & - & - & - & - & _(b) & \(53.0 \pm .1\) & - \\
\hline & ULRC-6 & 25 & \(16.41 \pm .09\) & 16.21: \(\pm .09\) & \(4.56 \pm .03\) & \[
\begin{aligned}
& 1.01281 \\
& \pm .00089
\end{aligned}
\] & \[
\begin{array}{r}
.28323 \\
\pm .00354
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{\(23^{(e)}\)} & ULRC-6 & 25 & SSTR & - & - & - & & _(b) & \(53.3 \pm .1\) & - \\
\hline & ULRC- & 25 & \(16.05 \pm .08\) & \(15.90 \pm .09\) & \(5.74 \pm .03\) & \[
\begin{array}{r}
1.01007 \\
\pm .00118
\end{array}
\] & \[
\begin{array}{r}
.36078 \\
\pm .00442
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{24} & ULRC-3 & 28 & SSTR & - & - & - & - & _(b) & \(523.3 \pm .8\) & - \\
\hline & ULRC-6 & & \(161.92 \pm .29\) & \(160.24 \pm .26\) & \(56.82 \pm .18\) & \[
\begin{array}{r}
1.01045 \\
\pm .00073
\end{array}
\] & \[
\begin{array}{r}
.35461 \\
+.00311
\end{array}
\] & & & \\
\hline
\end{tabular}

Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} &  & ation & \[
\begin{gathered}
\mathrm{S}_{\mathrm{L}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{U}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(\mathrm{S}_{\mathrm{L}} / \mathrm{S}_{\mathrm{U}}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & ```
Monitor
chamber 1
    (cps)
``` & ```
Monitor
chamber 2
    (cps)
``` & \begin{tabular}{l}
Moni 2/ \\
Moni 1
\end{tabular} \\
\hline \multirow[t]{2}{*}{25} & ULRC-3 & 28 & \(20.77 \pm .07\) & \(20.45 \pm .07\) & \(5.99 \pm .03\) & \[
\begin{array}{r}
1.01592 \\
\pm .00115
\end{array}
\] & \[
\begin{array}{r}
.29373 \\
\pm .00427
\end{array}
\] & \multirow[t]{2}{*}{\(1323.2 \pm .4\)} & \multirow[t]{2}{*}{\(525.1 \pm .3\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.3970 \\
\pm .0013
\end{array}
\]} \\
\hline & ULRC-6 & 25 & \(160.98 \pm .21\) & \(158.13 \pm .20\) & \(25.84 \pm .13\) & \[
\begin{array}{r}
1.01780 \\
\pm .00042
\end{array}
\] & \[
\begin{array}{r}
.16406 \\
\pm .00257
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{26} & \multicolumn{2}{|l|}{ULRC-2 28} & \(72.75 \pm .10\) & \(67.82 \pm .09\) & \(5.13 \pm .04\) & 1.07351
\(\pm .00176\) & \[
\begin{array}{r}
.07575 \\
+.00229
\end{array}
\] & \multirow[t]{2}{*}{\(1325.4 \pm .5\)} & \multirow[t]{2}{*}{\(526.3 \pm .3\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.3971 \\
\pm .0014
\end{array}
\]} \\
\hline & \multicolumn{2}{|l|}{ULRC-3 28} & \(20.75 \pm .05\) & \(20.49 \pm .05\) & \(5.80 \pm .02\) & \[
\begin{aligned}
& 1.01651 \\
& \pm .00121
\end{aligned}
\] & \[
\begin{array}{r}
.28320 \\
\pm .00374
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{\(27^{(f)}\)} & \multicolumn{2}{|l|}{ULRC-1 28} & \multirow[t]{2}{*}{\[
\begin{gathered}
\text { SSTR } \\
41.75 \pm .21
\end{gathered}
\]} & \multirow[t]{2}{*}{\[
41.16 \pm .22
\]} & - & - & - & \(337.6 \pm .6\) & \(133.9 \pm .4\) & \[
\begin{array}{r}
.3967 \\
\pm .0030
\end{array}
\] \\
\hline & ULRC-6 & 25 & & & \(11.07 \pm .06\) & \[
\begin{array}{r}
1.01179 \\
\pm .00087
\end{array}
\] & \[
\begin{array}{r}
.26909 \\
+.00198
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{28} & ULRC-4 & 25 & SSTR & & - & - & - & \(1327.4 \pm 2.1\) & \(526.3 \pm .6\) & \[
\begin{array}{r}
.3965 \\
\pm .0012
\end{array}
\] \\
\hline & ULRC-6 & 25 & \(163.72 \pm .34\) & \(161.95 \pm .36\) & \(58.29 \pm .17\) & \[
\begin{array}{r}
1.01077 \\
\pm .00086
\end{array}
\] & \[
\begin{array}{r}
.35987 \\
\pm .00200
\end{array}
\] & & & \\
\hline
\end{tabular}

\section*{TABLE A (continued)}

Individual results of the fission chamber irradiations at NISUS centre
\begin{tabular}{|c|c|c|c|c|c|c|c|c|c|c|}
\hline \begin{tabular}{l}
Run \\
No.
\end{tabular} & identif & \begin{tabular}{l}
il \\
ication
\end{tabular} & \[
\begin{gathered}
S_{L} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{U}} \\
(\mathrm{cps})
\end{gathered}
\] & \[
\begin{gathered}
\mathrm{S}_{\mathrm{GC}} \\
(\mathrm{cps})
\end{gathered}
\] & \(\mathrm{S}_{\mathrm{L}} / \mathrm{S}_{\mathrm{U}}\) & \(\mathrm{S}_{\mathrm{GC}} / \mathrm{S}_{\mathrm{U}}\) & ```
Monitor
chamber 1
    (cps)
``` & Monitor chamber 2 (cps) & \begin{tabular}{l}
Moni \(2 /\) \\
Moni 1
\end{tabular} \\
\hline \multirow[t]{2}{*}{29} & ULRC-3 & & SSTR & - & - & - & - & \multirow[t]{2}{*}{\(1327.3 \pm 1.3\)} & \multirow[t]{2}{*}{\(526.2 \pm .8\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.3965 \\
\pm .0009
\end{array}
\]} \\
\hline & ULRC-6 & & \(163.05 \pm .33\) & \(161.58 \pm .31\) & \(60.13 \pm .16\) & \[
\begin{aligned}
& 1.01022 \\
& \pm .00034
\end{aligned}
\] & \[
\begin{array}{r}
.37240 \\
\pm .00288
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{31} & ULRC-6 & 25 & \(162.54 \pm .26\) & \(159.68 \pm .22\) & \(34.16 \pm .12\) & 1.01751
\(\pm .00055\) & \[
\begin{array}{r}
.21399 \\
\pm .00222
\end{array}
\] & \multirow[t]{2}{*}{\(1336.4 \pm .8\)} & \multirow[t]{2}{*}{\(547.9 \pm\)-8} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.4111 \\
\pm .0068
\end{array}
\]} \\
\hline & ULRC-3 & & \(21.01 \pm .06\) & \(20.81 \pm .11\) & \(6.09 \pm .04\) & \[
\begin{array}{r}
1.01645 \\
\pm .00161
\end{array}
\] & \[
\begin{array}{r}
.29272 \\
\pm .00700
\end{array}
\] & & & \\
\hline \multirow[t]{2}{*}{33} & ULRC-4 & 25 & \(36.89 \pm .16\) & \(36.47 \pm .06\) & \(8.58 \pm .04\) & \[
\begin{aligned}
& 1.01003 \\
& \pm .00082
\end{aligned}
\] & \[
\begin{array}{r}
.23526 \\
\pm .00654
\end{array}
\] & \multirow[t]{2}{*}{\(1326.4 \pm .8\)} & \multirow[t]{2}{*}{\(544.7 \pm 1.5\)} & \multirow[t]{2}{*}{\[
\begin{array}{r}
.4151 \\
\pm .0014
\end{array}
\]} \\
\hline & URRC-1 & 28 & \(74.40 \pm .07\) & \(70.96 \pm .07\) & \(11.04 \pm .03\) & \[
\begin{aligned}
& 1.04848 \\
& \pm .00216
\end{aligned}
\] & \[
\begin{array}{r}
.15536 \\
\pm .00238
\end{array}
\] & & & \\
\hline
\end{tabular}

Note (a) The chamber was accidentally off-centred by 2.5 mm
(b) Chamber malfunctioning
(c) Cadmium box
(d) Cadmium unbrella
(e) Reactor power 10 kW
(f) Reactor power 25 kW

APPENDIX B

Etching conditions for fission fragments in
solid-state track recorders (109)

\section*{TABLE B}

Etching conditions for fission fragments

Note: Because of chemical variations within most minerals, glasses, or plastics of a given type, actual optimum conditions may vary from those given.
A. Etchants for minerals
\begin{tabular}{|c|c|}
\hline Mineral & Etching conditions (temp. in \({ }^{\circ} \mathrm{C}\) ) \\
\hline ```
allanite
    \(\left(\mathrm{H}_{2} \mathrm{O} \cdot 4(\mathrm{Ca}, \mathrm{Fe}) 0.3\left(\mathrm{Al}, \mathrm{Fe}_{2} \mathrm{O}_{3} \cdot 6 \mathrm{SiO}_{2}\right)\right.\)
apatite
    \(\mathrm{Ca}_{5}(\mathrm{~F}, \mathrm{Cl})\left(\mathrm{PO}_{4}\right)_{3}\)
autunite
    \(\left(\mathrm{Ca}\left(\mathrm{UO}_{2}\right)_{2} \mathrm{P}_{2} \mathrm{O}_{8} \cdot 8 \mathrm{H}_{2} \mathrm{O}\right.\) or \(\mathrm{CaO} 2 \mathrm{UO}_{3} \cdot \mathrm{P}_{2} \mathrm{O}_{5}\).
    \(8 \mathrm{H}_{2} \mathrm{O}\) )
barite
    \(\left(\mathrm{BaSO}_{4}\right)\)
barysilite
    \(\left(\mathrm{Pb}_{3} \mathrm{Si}_{2} \mathrm{O}_{7}\right)\)
beryl.
    \(\left(\mathrm{Be}_{3} \mathrm{Al}_{2} \mathrm{Si}_{6} \mathrm{O}_{18}\right)\)
bismutite
    \(\left(\mathrm{Bi}_{2} \mathrm{O}_{3} \cdot \mathrm{CO}_{2} \cdot \mathrm{H}_{2} \mathrm{O}\right)\)
calcite
    \(\left(\mathrm{CaCO}_{3}\right)\)
cerussite
    \(\left(\mathrm{PbCO}_{3}\right)\)
    clinochlore (a chlorite)
    clinopyroxenc (augite),
        \(\left.\mathrm{Ca}(\mathrm{Mg}, \mathrm{Fe}, \mathrm{Al})\left(\mathrm{Al}, \mathrm{Si}_{2} \mathrm{O}_{6}\right)\right)\)
``` & \[
\begin{aligned}
& 50 \mathrm{~N} \mathrm{NaOH}, 2-60 \mathrm{~min}, 140^{\circ} \\
& \text { conc } \mathrm{HNO}_{3}, 25 \mathrm{sec}, 23^{\circ} \\
& 10 \% \mathrm{HCl}, 10-30 \mathrm{sec}, 23^{\circ} \\
& \mathrm{HNO}_{3}, 3 \mathrm{hr}, 100^{\circ} \\
& \mathrm{HAc}, 70 \mathrm{sec}, 23^{\circ} \\
& \mathrm{KOH}(\mathrm{aq}), 9 \mathrm{hr}, 150^{\circ} \\
& 1(\mathrm{NaOH}): 1\left(\mathrm{H}_{2} \mathrm{O}\right), 50 \mathrm{~min}, 140^{\circ} \\
& 10 \% \mathrm{HCl}, 50 \mathrm{sec}, 23^{\circ} \\
& \mathrm{HAc}, 10-30 \mathrm{~min}, 23^{\circ} \\
& 48 \% \mathrm{HF}, 10 \mathrm{~min}, 23^{\circ} \\
& \mathrm{KOH}(\mathrm{aq}), 1 \mathrm{~min}, 220^{\circ} \\
& 2(48 \% \mathrm{HF}): 1\left(80 \% \mathrm{H}_{2} \mathrm{SO}_{4}\right): \\
& 4(\mathrm{H} \mathrm{O}) 5-20 \mathrm{~min}, 23^{\circ}
\end{aligned}
\] \\
\hline
\end{tabular}

\footnotetext{
* Hexagons with symmetrical tracks on (0001); slits on (1010)
}

Etching conditions for fission fragments
\begin{tabular}{|c|c|}
\hline Mineral & Etching conditions (temp. in \({ }^{\circ} \mathrm{C}\) ) \\
\hline ```
clinopyroxene (diopside),
    ( \(\mathrm{CaMgSi}_{2} \mathrm{O}_{6}\) )
clinopyroxene (pigeonite)
    \(\left[(\mathrm{Mg}, \mathrm{Fe}) \mathrm{SiO}_{3}\right] \cdot\left[\mathrm{CaMg}\left(\mathrm{SiO}_{3}\right)_{2}\right]_{1-t}\)
epidote
    \(\left(\mathrm{Ca}_{2}\left(\mathrm{Al}, \mathrm{Fe}_{3}\left(\mathrm{SiO}_{4}\right)_{3} \mathrm{OH}\right)\right.\)
enlytite
    \(\left(\mathrm{Bi}_{4}\left(\mathrm{SiO}_{4}\right)_{3}\right)\)
feldspar (albite),
    \(\left(\mathrm{NaAlSi}_{3} \mathrm{O}_{8}\right)\)
feldspar (anorthite),
    \(\left(\mathrm{CaAl}_{2} \mathrm{Si}_{2} \mathrm{O}_{8}\right)\)
feldspar (bytownite),
    \(\left(\mathrm{An}_{8} \mathrm{Ab}_{2}\right)\)
feldspar (labradorite),
    \(\left(\mathrm{An}_{6} \mathrm{Ab}_{4}\right)\)
    feldspar (microcline),
        ( \(\mathrm{KAlSi}_{3} \mathrm{O}_{8}\) )
    feldspar (oligoclase),
        ( \(A n_{2} A_{\mathrm{B}} \mathrm{b}_{\mathrm{g}}\) )
    feldspar (orthoclase),
        ( \(\mathrm{KAlSi}_{3} \mathrm{O}_{8}\) )
    fluorite
        ( \(\mathrm{CaF}_{3}\) )
    garnet (pyrspe),
        \(\left(\mathrm{Mg}_{3} \mathrm{Al}_{2}\left(\mathrm{SiO}_{4}\right)_{3}\right)\)
``` & \begin{tabular}{l}
\(\mathrm{KOH}(\mathrm{aq}), 15 \mathrm{~min}, 210^{\circ}\) \\
\(\mathrm{NaOH}(\mathrm{aq}), 10 \mathrm{~min}, 200^{\circ}\) \\
\(\mathrm{KOH}(\mathrm{aq}), 15 \mathrm{~min}, 210^{\circ}\) \\
\(50 \mathrm{~N} \mathrm{NaOH}, 0.5-2 \mathrm{hr}, 140^{\circ}\) \\
\(5 \% \mathrm{HCl}, 60 \mathrm{sec}, 23^{\circ}\) \\
\(\mathrm{NaOH}(\mathrm{aq}), 4 \mathrm{~mm}, 195^{\circ}\) \\
\(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 23 \mathrm{~min}\), boiling \(6 \mathrm{gm} \mathrm{NaOH}: 8 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 85 \mathrm{~min}\), boiling \(\mathrm{KOH}(\mathrm{aq}), 210^{\circ}, 30 \mathrm{~min}\) \\
\(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 5 \mathrm{~min}\), boiling \(6 \mathrm{gm} \mathrm{NaOH}: 8 \mathrm{gm} \mathrm{H} \mathrm{H}_{2} \mathrm{O}, 14 \mathrm{~min}\), boiling \(\mathrm{KOH}(\mathrm{aq}), 15 \mathrm{~min}, 210^{\circ}\) \\
\(6 \mathrm{gm} \mathrm{NaOH}: 4\) gra \(\mathrm{H}_{2} \mathrm{O}, 6 \mathrm{~min}\), boiling \(6 \mathrm{gm} \mathrm{NaOH}: 8 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 19 \mathrm{~min}\), boiling \(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 13 \mathrm{~min}\), boiling \(6 \mathrm{gm} \mathrm{NaOH}: 8 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 40 \mathrm{~min}\), boiling \(48 \% \mathrm{HF}, 1-10 \mathrm{sec}, 23^{\circ}\) \(5(\mathrm{KOH}): 1\left(\mathrm{H}_{2} \mathrm{O}\right), 80 \mathrm{~min}, 190^{\circ}\) \\
\(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 20 \mathrm{~min}\), boiling \(6 \mathrm{gm} \mathrm{NaOH}: 8 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 75 \mathrm{~min}\), boiling \(48 \% \mathrm{HF}, 10 \mathrm{sec}, 23^{\circ}\) \\
\(5(\mathrm{KOH}): 1\left(\mathrm{H}_{2} \mathrm{O}\right), 80 \mathrm{~min}, 190^{\circ}\)
\[
98 \% \mathrm{H}_{2} \mathrm{SO}_{4}, 10 \mathrm{~min}, 23^{\circ}
\] \\
\(\mathrm{KOH}(\mathrm{aq}), 2 \mathrm{hr}, 150^{\circ}\) \\
\(50 \mathrm{~N} \mathrm{NaOH}, 0.5-2 \mathrm{hr}, 140^{\circ}\) \\
\(\mathrm{KOH}, 3 \mathrm{hr}, 170^{\circ}\)
\end{tabular} \\
\hline
\end{tabular}

Etching conditions for fission fragments
\begin{tabular}{|c|c|}
\hline Mineral & Etching condition (temp. in \({ }^{\circ} \mathrm{C}\) ) \\
\hline \multicolumn{2}{|l|}{glass (see separate list of etchants for glasses)} \\
\hline gypsum
\[
\left(\mathrm{CaSO}_{4} \cdot 2 \mathrm{H}_{2} \mathrm{O}\right)
\] & 5\% HF, 5-10 sec, \(23^{\circ}\) \\
\hline halite ( NaCl ) & \(1 \mathrm{gm} / \mathrm{liter} \mathrm{HgCl}_{2}\) in ethanol, \(30 \mathrm{sec}, 23^{\circ}\) * \\
\hline hardystonite
\[
\left(\mathrm{Ca}_{1.99} \mathrm{~Pb}_{-01} \mathrm{ZnSi}_{2} \mathrm{O}_{7}\right)
\] & \(1 \mathrm{NaOH}: 1 \mathrm{H} \mathrm{O}, 20\) to \(70 \mathrm{~min}, 140^{\circ}\) \\
\hline heulandite
\[
\left(\left(\mathrm{Ca}, \mathrm{Na}_{2}\right) \mathrm{O} \cdot \mathrm{Al}_{2} \mathrm{O}_{3} \cdot 9 \mathrm{SiO}_{2} \cdot 6 \mathrm{H}_{2} \mathrm{O}, \text { a zeolite }\right)
\] & 10 (aqua regia): \(1(\mathrm{HF}), 30 \mathrm{sec}, 23^{\circ}\) \\
\hline homblende
\[
\left(\mathrm{Ca}_{2} \mathrm{Na}(\mathrm{Mg}, \mathrm{Fe})_{4}\left(\mathrm{Al}, \mathrm{Fe}, \mathrm{Ti}_{3} \mathrm{Si}_{6} \mathrm{O}_{22}\right)\right.
\] & 48\% HF, 5-60 scc, \(23-60^{\circ}\) \\
\hline \begin{tabular}{l}
kleinite \\
( Hg -ammonium chloride)
\end{tabular} & \(37 \% \mathrm{HCl}, 7 \mathrm{~min}, 23^{\circ}\) \\
\hline leuchtenbergite (low iron clinochlore) & \(49 \% \mathrm{HF}, 10 \mathrm{~min}, 23^{\circ}\) \\
\hline \begin{tabular}{l}
lithium fluoride \\
(LiF)
\end{tabular} & \[
\mathrm{H}_{2} \mathrm{O}+.13 \mathrm{gm} / \mathrm{liter} \mathrm{LiF}+1 / 2 \mathrm{ppm}
\]
\[
\mathrm{Fe} \sim 1 \mathrm{~min}, 23^{\circ}
\] \\
\hline \begin{tabular}{l}
margarite \\
\(\left(\mathrm{CaAl}_{4} \mathrm{Si}_{2} \mathrm{O}_{10}(\mathrm{OH})_{2}\right)\)
\end{tabular} & \(48 \% \mathrm{HF}, 2 \mathrm{~min}, 23^{\circ}\) \\
\hline \[
\begin{aligned}
& \text { mica (biotite), } \\
& \left.\mathrm{K}(\mathrm{M} / \mathrm{F}, \mathrm{Fe})_{3} \mathrm{AlSi}_{3} \mathrm{O}_{10}(\mathrm{OH})_{2}\right)
\end{aligned}
\] & \[
\begin{aligned}
& 20 \%, \mathrm{HF}, 11 / 2 \mathrm{~min}, 23^{\circ} \\
& 15 \% \mathrm{HF}, 20 \mathrm{sec}, 50^{\circ} \\
& 48 \% \mathrm{HF}, 3-20 \mathrm{sec}, 23^{\circ}
\end{aligned}
\] \\
\hline mica (lepidolite),
\[
\left(\mathrm{K}_{2} \mathrm{Li}_{3}+\mathrm{Al}_{4} \mathrm{Si}_{3} \mathrm{O}_{21}\left(\mathrm{OH}, \mathrm{~F}_{3}\right)\right.
\] & \[
\begin{aligned}
& 15 \% \mathrm{HF}, 20 \mathrm{sec}, 50^{\circ} \\
& 48 \% \mathrm{HF}, 3-70 \mathrm{sec}, 23^{\circ}
\end{aligned}
\] \\
\hline \multirow[t]{3}{*}{\[
\begin{aligned}
& \text { mica (rnuscovite), } \\
& \left(\mathrm{KAl}_{3} \mathrm{Si}_{3} \mathrm{O}_{10}(\mathrm{OH})_{2}\right)
\end{aligned}
\]} & \[
\begin{aligned}
& 20 \% \mathrm{HF}, 2 \mathrm{hr}, 23^{\circ} \\
& 20 \% \mathrm{HF}, 12 \mathrm{~min}, 52^{\circ}
\end{aligned}
\] \\
\hline & 15\% HF, \(20 \mathrm{~min}, 50^{\circ}\) \\
\hline & \(48 \% \mathrm{HF}, 10-40 \mathrm{~min}, 23^{\circ}\) \\
\hline \multirow[t]{2}{*}{\[
\begin{aligned}
& \text { mica (phlogopite), } \\
& \qquad\left(\mathrm{KMg}_{2} \mathrm{Al}_{2} \mathrm{Si}_{3} \mathrm{O}_{10}(\mathrm{OH})_{2}\right)
\end{aligned}
\]} & \(20 \% \mathrm{HF}, 5 \mathrm{~min}\) \\
\hline & \(15 \% \mathrm{HF}, 1 \mathrm{~min}, 50^{\circ}\) \(48 \% \mathrm{HF}, 1-5 \mathrm{~min}, 23^{\circ}\) \\
\hline
\end{tabular}
* Shallow pits

\section*{Etching conditions for fission fragments}
\begin{tabular}{|c|c|}
\hline Mineral & \[
\begin{aligned}
& \text { Etching conditions } \\
& \text { (temp. in } \left.{ }^{\circ} \mathrm{C}\right)
\end{aligned}
\] \\
\hline ```
monarite
    ((Ce, La, Di) \(\left.\mathrm{PO}_{4}\right)\)
nasonite
    \(\left(\mathrm{Pb}_{4}(\mathrm{PbOH})_{2} \mathrm{Ca}_{4}\left(\mathrm{Si}_{2} \mathrm{O}_{7}\right)_{3}\right)\)
olivine
    \(\left(\left(\mathrm{Mg}, \mathrm{Fe}_{2} \mathrm{SiO}_{4}\right)\right.\)
orthopyroxene (bronzite),
    \(\left.\left(\mathrm{Mig}_{1-1} \mathrm{Fe}_{7} \mathrm{SiO}_{3}\right)(.1>f>.2)\right)\)
orthopyroxene (enstatite),
    \(\left(\mathrm{MgSiO}_{3}\right)\)
orthopyroxene (ferrohypersthenc)
    \(\left(\mathrm{Mg}_{1-2} \mathrm{Fe}_{\mathrm{e}} \mathrm{SiO}_{3}, \mathrm{I}>.5\right)\)
orthopyroxene (hypersthene)
    \(\left(\mathrm{Mg}_{1-1} \mathrm{Fe}_{1} \mathrm{SiO}_{3}, \mathrm{I}>.2\right)\)
pennine (a chlorite)
    poll-uite
        \(\left(\mathrm{H}_{2} \mathrm{O} \cdot 2 \mathrm{Ce}_{2} \mathrm{O} \cdot 2 \mathrm{Al}_{2} \mathrm{O}_{3} \cdot 4 \mathrm{SiO} \mathrm{O}_{2}\right)\)
    pucherite
        ( \(\mathrm{BiVO}_{4}\) )
    quartz
        \(\left(\mathrm{SiO}_{2}\right)\)
    raspite
        ( \(\mathrm{PbWO}_{4}\) )
    scherdite
        \(\left(\mathrm{CaWO}_{4}\right)\)
    sphene
        ( \(\mathrm{CaTiSiO}_{5}\) )
``` & ```
conc \(\mathrm{H}_{2} \mathrm{SO}_{4}, 6-8 \mathrm{~min}, 23^{\circ}{ }^{*}\)
\(1(\mathrm{NaOH}): 1\left(\mathrm{H}_{2} \mathrm{O}\right), 10 \mathrm{~min}, 137^{\circ}\)
\(\mathrm{KOH}(\mathrm{aq}), 8 \mathrm{~min}, 220^{\circ}\)
\(29 \mathrm{gm} \mathrm{KOH}: 9 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 4 \mathrm{~min}\),
    \(160^{\circ}+5 \% \mathrm{HF}, 30 \mathrm{sec}, 23^{\circ}\)
\(\left\{\begin{array}{l}\mathrm{KOH}(\mathrm{aq}), 8 \mathrm{~min}, 220^{\circ} \\ +48 \% \mathrm{HF}, 5 \mathrm{sec}, 23^{\circ}+\end{array}\right\}\)
    \(\mathrm{NaOH}(\mathrm{aq}), 6 \mathrm{~min}, 200^{\circ}\)
    \(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 42 \mathrm{~min}\), boiling
    NaOH aq, \(15 \mathrm{~min}, 195^{\circ}\)
    \(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 35 \mathrm{~min}\), boiling
    \(6 \mathrm{gm}, \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H} \mathrm{H}_{2} \mathrm{O}, 70 \mathrm{~min}\), boiling
\(\mathrm{KOH}(\mathrm{aq}), 210^{\circ}, 30 \mathrm{~min}\)
\(\mathrm{NaOH}(\mathrm{aq}), 200-205^{\circ}, 5 \mathrm{~min}\)
\(6 \mathrm{gm} \mathrm{NaOH}: 4 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}, 42 \mathrm{~min}\), boiling
\(48 \% \mathrm{HF}, 5 \mathrm{~min}, 23^{\circ}\).
\(5 \% \mathrm{HF}, 55 \mathrm{sec}, 23^{\circ}\)
\(5 \% \mathrm{HCl}, 90 \mathrm{sec}, 23^{\circ}\)
\(\mathrm{KOH}(\mathrm{aq}), 3 \mathrm{hr}, 150^{\circ}\)
\(48 \% \mathrm{HF}, 24 \mathrm{hr}, 23^{\circ}\)
\(6.25 \mathrm{~N} \mathrm{NaOH}, 4 \mathrm{~min}, 23^{\circ}\)
\(6.25 \mathrm{~N} \mathrm{NaOH}, 90 \mathrm{~min}, 95^{\circ}\).
conc \(\mathrm{HCl}, 0.5-1.5 \mathrm{hr}, 90^{\circ}\)
\(1(49 \% \mathrm{HF}): 2\left(70 \% \mathrm{HNO}_{3}\right)\) :
3 (conc HCl ): \(6 \mathrm{H}_{2} \mathrm{O}, 1-3 \mathrm{~min}, 23^{\circ}\)
``` \\
\hline
\end{tabular}

TABLE B (continued)
Etching conditions for fission fragments
\begin{tabular}{|c|c|}
\hline Mineral & ```
Etching conditions
    (temp. in }\mp@subsup{}{}{\circ}\textrm{C}\mathrm{ )
``` \\
\hline ```
spodumene
    ( \(\mathrm{LiAl}^{2} \mathrm{Si}_{2} \mathrm{O}_{6}\) )
stibite
    ((Ca, \(\left.\left.\mathrm{Na}_{2}\right) \mathrm{O} \mathrm{Al}_{2} \mathrm{O}_{3} \cdot 6 \mathrm{SiO}_{2} \cdot 6 \mathrm{H}_{2} \mathrm{O}\right)\), a zeolite)
tale
    \(\left(\mathrm{Mig}_{3} \mathrm{Si}_{4} \mathrm{O}_{10}(\mathrm{OH})_{2}\right)\)
thorite
    (ThSiO_)
torbernite
    \(\left(\mathrm{Cu}\left(\mathrm{LO}_{2}\right)_{2} \mathrm{P}_{2} \mathrm{O}_{8} \cdot 12 \mathrm{H}_{2} \mathrm{O}\right)\)
tridymite
    \(\left(\mathrm{SiO}_{3}\right)\)
topaz
    \(\left.\left(\mathrm{A}_{2} \mathrm{SiO}_{4}: \mathrm{F}, \mathrm{OH}\right)_{2}\right)\)
tourmaline
        (complex silicate)
vermiculite
        (biotice derived)
    whitlockite
        [ \(\mathrm{Ca}_{3}\left(\mathrm{PO}_{4}!_{2}\right]\)
    zircun
        \(\left(\mathrm{ZrSiO}_{4}\right)\)
``` & \[
\begin{aligned}
& 48 \% \mathrm{HF}, 24 \mathrm{hr}, 23^{\circ} \\
& 1 \% \mathrm{HF}, 60 \mathrm{sec}, 23^{\circ} \\
& 48 \% \mathrm{HF}, 15 \mathrm{~min}, 23^{\circ} \\
& \mathrm{H}_{3} \mathrm{PO}_{4}, 1 \mathrm{~min}, 250^{\circ} \\
& 10 \% \mathrm{HCl}, 10 \mathrm{~min}, 23^{\circ} \\
& 10 \% \mathrm{HF}, 1 \mathrm{hr}, 23^{\circ} \\
& \mathrm{KOH}(\mathrm{aq}), 100 \mathrm{~min}, 150^{\circ} \\
& \mathrm{KOH}(\mathrm{aq}), 20 \mathrm{~min}, 220^{\circ} \\
& 48 \% \mathrm{HF}, \sim 5-10 \mathrm{sec}, 23^{\circ} \\
& 70 \% \mathrm{HNO} \\
& 3
\end{aligned}, 10 \mathrm{sec}, 23^{\circ} .
\] \\
\hline
\end{tabular}
* Shallow pits

TABLE B (continued)
Etching conditions for fission fragments
B. Etchants for glasses
\begin{tabular}{|c|c|}
\hline Type & \[
\begin{aligned}
& \text { Etching conditions } \\
& \left(\text { at } 23^{\circ} \mathrm{C}\right)
\end{aligned}
\] \\
\hline \begin{tabular}{l}
andesitic glass \\
\(\left(A b_{B 0} A n_{+0}\right)\) \\
borate glass \\
obsidian \\
phosphate glass \\
pumice \\
silica glass (fused quartz, Vicor, \\
Libyan desert glass) \\
soda-lime (microscope slide; cover slip, window glas) \\
tektite \\
uranium-soda glass \\
\(\mathrm{V}_{2} \mathrm{O}_{5}\left(\mathrm{P}_{2} \mathrm{O}_{5}\right)_{5}\) (semiconducting glass)
\end{tabular} & \begin{tabular}{l}
\(5 \%\) HF, 3-5 min \\
\(\mathrm{H}_{2} \mathrm{O}, 1\) min \(48 \% \mathrm{HF}, 30\) sec \(48 \% \mathrm{HF}, 5-20 \mathrm{~min}\) \(5 \% \mathrm{HF}, 500\) sec \(48 \% \mathrm{HF}, 1 \mathrm{~min}\) \\
\(48 \% \mathrm{HFF}, 5 \mathrm{sec}\) 5\% HF, 2 min \\
\(48 \% \mathrm{HF}, 30 \mathrm{sec}\) \(48 \% \mathrm{FF}, 5 \mathrm{sec}\) \(48 \% \mathrm{HF}, 10 \mathrm{sec}\)
\end{tabular} \\
\hline
\end{tabular}
C. Etchants for plastics
\begin{tabular}{|l|l|}
\hline Plastic (tade names) & Etching conditions (temp. in \({ }^{\circ} \mathrm{C}\) ) \\
\hline \hline & \\
Amber & \\
Cellulose acctate (Kodacel, Triafol T) & \(\mathrm{KMnO}_{4}\) sat. solution, \(6.5 \mathrm{hr}, 80^{\circ}\) \\
Cellulose acetate butyrate & \(308 \mathrm{Km} \mathrm{Cr}_{2} \mathrm{O}_{7}+50 \mathrm{cc}\) conc \(\mathrm{H}_{2} \mathrm{SO}_{4}+100 \mathrm{cc} \mathrm{H}_{2} \mathrm{O}, 40 \mathrm{hr}, 28^{\circ}\) \\
Cellulose nitrate (Daicell, Nixon-Baldwin) & 6.25 N NaOH \\
& \(28 \% \mathrm{KOH} 30 \mathrm{~min} .60^{\circ}\) \\
& \(6.25 \mathrm{~N} \mathrm{NaOH}, 12 \min .70^{\circ}\) \\
& \(28 \% \mathrm{KOH} 60 \min .60^{\circ}\) \\
& \(6.25 \mathrm{~N} \mathrm{NaOH}, * 2 \min .70^{\circ}\) \\
\hline
\end{tabular}
* Any alkali earth hydroxide with appropriate etching time.

Etching conditions for fission fragments
\begin{tabular}{|c|c|}
\hline Plastic (trade names) & Etching conditions (temp. in \({ }^{\circ} \mathrm{C}\) ) \\
\hline \multirow{6}{*}{\begin{tabular}{l}
Cellulose propionate (Cellidor) \\
Cellulose triacetate (Kodacel TA401, Bayer TN)
\end{tabular}} & \(6.25 \mathrm{~N} \mathrm{NaOH}, 4 \mathrm{~min}, 55^{\circ}\) \\
\hline & \(6.25 \mathrm{~N} \mathrm{NaOH}, 2-4 \mathrm{hr}, 23^{\circ}\) \\
\hline & \(28 \% \mathrm{KOH}, 30 \mathrm{~min}, 23^{\circ}\) \\
\hline & 28: \(\mathrm{KOH}, 100 \mathrm{~min}, 60^{\circ}\) \\
\hline & 6.25 N NaOH \\
\hline & \(6.25 \mathrm{~N} \mathrm{NaOH}+15 \% \mathrm{NaClO}\) (2:1 to \(1: 3\) ) \(40^{\circ}\) \(28 \% \mathrm{KOH} 60 \mathrm{~min}, 60^{\circ}\) \\
\hline \multirow[t]{2}{*}{Formophenol (ambrolithe, phenoplaste)} & \(\mathrm{NaOH}, 1 \mathrm{hr}, 40^{\circ}+\) \\
\hline & \(\mathrm{HF}, 30 \mathrm{sec}, 40^{\circ}\), in sequence \\
\hline HippaIT (polyester, \(\mathrm{C}_{17} \mathrm{H}_{9} \mathrm{O}_{2}\) ) & \(6.25 \mathrm{~N} \mathrm{NaOH}, 8 \mathrm{~min}, 70^{\circ}\) \\
\hline Ionomeric polyethylene (Surlyn) & \(10 \mathrm{gm} \mathrm{K} 2 \mathrm{Cr}_{2} \mathrm{O}_{7}+35 \mathrm{cc} 30 \% \mathrm{H}_{2} \mathrm{SO}_{4}, 1 \mathrm{hr} .50^{\circ}\) \\
\hline Polyamide (H Film) & \(\mathrm{KMnO}_{4}(25 \% \mathrm{aq}), 1.5 \mathrm{hr}, 100^{\circ}\) \\
\hline \multirow[t]{4}{*}{Polycarbonate (Lexan, Makrofol, Merlon)} & \begin{tabular}{l}
NaOH solution \\
\(6.25 \mathrm{NaOH}^{*}, 20 \mathrm{~min}, 50^{\circ}\)
\end{tabular} \\
\hline & \(33 \mathrm{cc} 30 \% \mathrm{H}_{2} \mathrm{SO}+\mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}(10 \mathrm{gm}) 2 \mathrm{hr}, 85^{\circ}\) \\
\hline & 1 (6.25N NaOH); 1 (ethanol), \(2 \mathrm{hr}, 23^{\circ}\). \\
\hline & \(6.25 \mathrm{~N} \mathrm{NaOH}+4 \%\) Benaxt, \(20 \mathrm{~min}, 70^{\circ}\) \\
\hline \multirow[t]{2}{*}{Polyethylene} & \(10 \mathrm{gm} \mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{2}+35 \mathrm{cc}, 30 \% \mathrm{H}_{2} \mathrm{SO}_{4} 30 \mathrm{~min}\), \(85^{\circ}\) \(10 \mathrm{gm} \mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{2}+5 \mathrm{cc}, 30 \% \mathrm{H}_{2} \mathrm{SO}_{4}+20 \mathrm{gm} \mathrm{H}_{2} \mathrm{O}\) \\
\hline & \(90^{\circ} \ddagger\) \\
\hline Polyethylene terephthalate (Mylar, Chronar, & \(6.25 \mathrm{~N} \mathrm{NaOH}, 10 \mathrm{~min}, 70^{\circ} \mathrm{C}\) \\
\hline Melinex) & \(\mathrm{KMnO}_{4}(25 \%, \mathrm{aq}), 1 \mathrm{hr}, 55^{\circ}\) \\
\hline \multirow[t]{3}{*}{Polymethyl Methacrylate (Plexiglas, Lucite)} & 6 (aqua regia) : 1 ( \(48 \% \mathrm{HF}\) ) \\
\hline & sat \(\mathrm{KMnO}_{4}, 8 \mathrm{~min}, 85^{\circ}\) \\
\hline & sat \(\mathrm{KMnO}_{4}, 50 \mathrm{~min}, 85^{\circ}\) \\
\hline Polyoxymethylene (Delrin) & \(5 \% \mathrm{KMnO}_{4}, 10 \mathrm{hr}, 60^{\circ}\) \\
\hline Polyphenoxide & \(\mathrm{KMnO}_{4},\left(25 \%\right.\) aq), 4 min, \(100^{\circ}\) \\
\hline Polyphenylene oxide (PPO) & \(\mathrm{KMnO}_{4} \mathrm{aq} ., 24 \mathrm{hr}, 93^{\circ} \mathrm{\delta}\) \\
\hline \begin{tabular}{l}
Polypropylene (Cryovac-y) \\
Polystyrene
\end{tabular} & \(35 \mathrm{cc}\left(30 \% \mathrm{H}_{2} \mathrm{SO}_{4}\right): 10 \mathrm{gm}\left(\mathrm{Cr}_{2} \mathrm{~K}_{2} \mathrm{O}_{7}\right), 5 \mathrm{~min}, 94^{\circ}\) sat \(\mathrm{KMnO}_{4}, 2.5 \mathrm{hr}, 85^{\circ}\) \\
\hline & \(10 \mathrm{gm} \mathrm{K}_{2} \mathrm{Cr}_{2} \mathrm{O}_{7}+35 \mathrm{cc}, 30 \% \mathrm{H}_{2} \mathrm{SO}_{4}, 3 \mathrm{hr} 8^{45^{\circ}}\) \\
\hline
\end{tabular}
* Any alkali earth hydroxide with appropriate etcling time. \(\ddagger\) High density PE (Marlex SO) only
\(\dagger\) Dow surfactant 2Al, Dowfax, Dow Corning. § Large cone angle.

TABLE B (continued)

Etching conditions for fission fragments
\begin{tabular}{|c|c|}
\hline Plastic (trade names) & Etching conditions (temp. in \({ }^{\circ} \mathrm{C}\) ) \\
\hline Polyvinylaceto chloride. & \(\mathrm{KMnO}_{4}\left(25 \%\right.\) aq) \(30 \mathrm{~min}, 100^{\circ}\) \\
\hline Polyvinylchloride & sat. \(\mathrm{KMnO}_{4} 2.5 \mathrm{hr}, 85^{\circ} \cdot\) \\
\hline & \(\mathrm{KMnO}_{4}(25 \% \mathrm{aq}) 2 \mathrm{hr}, 55^{\circ}\) \\
\hline Polyvinylidene chloride (Saran) & \(\mathrm{KMnO}_{4}\left(25 \%\right.\) aq) \(2 \mathrm{hr}, 55^{\circ}\) \\
\hline & \(\mathrm{KMnO}_{4}\) sat aq \(2 \mathrm{hr} \mathrm{Cl}^{85^{\circ}}\) \\
\hline Polyvinyl toluene & \(\mathrm{KMnO}_{4}\) sat aq \(30^{\circ} \mathrm{min}, 100^{\circ}\) \\
\hline Silicone-polycarbonate copolymer & \(6.25 \mathrm{~N} \mathrm{NaOH} 20 \mathrm{~min}, 50^{\circ}\) \\
\hline Siloxane-cellulose copolymer & \(8 \mathrm{~N} \mathrm{NaOH}+\) Benax \(3 \mathrm{hr}, 85^{\circ}\). \\
\hline
\end{tabular}```

