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Analysis of shape and location effects of closely spaced metal loss defects in pressurised pipes

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Abstract

Metal loss due to corrosion is a serious threat to the integrity of pressurised oil and gas transmission pipes. Pipe metal loss defects are found in either single form or in groups (clusters). One of the critical situations arises when two or more defects are spaced close enough to act as a single lengthier defect with respect to the axial direction, causing pipe ruptures rather than leaks, and impacting on the pressure containing capacity of a pipe. There have been few studies conducted to determine the distance needed for defects to interact leading to a failure pressure lower than that when the defects are treated as single defects and not interacting. Despite such efforts, there is no universally agreed defect interaction rule and pipe operators around the world have various rules to pick and choose from. In this work, the effects of defects shape and location on closely spaced defects are analysed using finite element analysis. The numerical results showed that defect shapes and locations have a great influence on the peak stress and its location as well as the failure pressure of pipes containing interacting defects.

Keywords: Interacting defects, Pipe defect assessment, Pipe Integrity

ABBREVIATIONS AN NOMENCLATURE

BC	Boundary Condition
Circumf.	Circumferential
Diag.	Diagonal
E	Young's Modulus
Longit.	Longitudinal
OD	Pipe External Diameter
P_{Defect}	Failure Pressure of Single Defect
P_{Multi}	Failure Pressure of Interacting Defects
S	Space Between Defects
SMYS	Specified Minimum Yield Strength
T	Pipe Wall Thickness
UTS	Ultimate Tensile Strength
ν	Poisson Ratio
ϵ_{true}	True Strain
ϵ_{eng}	Engineering Strain
σ_{eng}	Engineering Stress
$\sigma_{\text{Eng.UTS}}$	Engineering Ultimate Tensile Strength
σ_{eq}	Defect Equivalent Stress
σ_{true}	True Stress
σ_{TrueUTS}	True Ultimate Tensile Stress
σ_{γ}	Yield Strength

1 Introduction

As pipes age, they get more susceptible to corrosion leading to metal loss both internally and externally. In the United States alone, there are more than 50% of the gas pipes reaching an age beyond 40 years [1]. Between

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2010 and 2013, pipe failures due to corrosion and material degradations resulted in financial loss of more than \$466 million of estimated total costs to gas pipes network operators [1]. Any unplanned shutdown to repair critical or leaking defects on oil and gas transmission pipes costs millions of dollars which includes costs of repair and loss of production among others. In 2012 alone, such an unplanned shutdown was carried out to repair a leaking defect, costing a gas operator \$2.9 million to repair a failed pipe and additional 76 million standard cubic feet of natural gas was released and burned [2].

Metal loss in pipes due to corrosion is a serious threat to the pipe's structural integrity. Fitness assessment of metal loss in pipes has been researched since the 1970's right up to the present time. In chronological order, a number of examples are given in references [3-17]. Although extensive historical pipeline burst data exist in the literature, these were done more than 40 years ago on single defects, and data presented are incomplete due to the fact that earlier defect assessment procedures required only limited information on the defect geometry (depth and length) and material properties (SMYS and UTS) [18]. One of the critical situations arises when two or more defects are spaced close enough to interact, i.e. act as a single lengthier defect with respect to the axial direction, causing major impact on the pressure containing capacity of a pipe [8, 19-21]. Out of all the available defect assessment recommended practices, DNV-RP-F101 [22] is widely used for the assessment of interacting defects where previously mentioned literatures show that this recommended practice gives conservative results in terms of the estimated failure pressure as well as the interaction space between defects.

While there is a general understanding of the assessment of single metal loss defects, further work remains to be done to understand the more complex nature of defect interaction. Motivated by the existing work on metal loss defect interactions, this work addresses a numerical investigation of the effect of defects shape and location on closely spaced defects using finite element (FE) analysis. The main objective of this study is to conduct a systematic parametric evaluation of the location and shape effects in API5L X60. The outcome of this work is to develop simplified criteria on defect interaction rules aimed towards reducing conservatism to assess the consequences of failure and determining the pressure containing capacity of pipe, thus impacting directly on unplanned shutdowns, and the number of repairs to maintain the integrity of the pipes within the envelope of health, safety and environment (HSE).

2 Nonlinear Finite Element Analysis (FEA)

Parametric investigations of the effect of shape and location of closely spaced defects were carried out using the Abaqus 6.14 FEA software [23]. Artificial corrosion defects with the same length and width were used in the models. The length to width ratio was kept the same (35 mm each) for all defects. The defect depth was constant for all defects, as 50% of the wall thickness. However, further modifications of the defect depth and spacing between defects were made to investigate the effects of interaction. For the sake of practicality and to represent real-life defects, the dimensions were chosen to be in line with the pipeline operator forum (POF) [24] for general corrosion, and as such these defect types can be detected and sized, and interaction roles can easily be applied by the existing pipe inspection tools. Additionally, such general corrosion defects are widely observed in service in the oil and gas pipes industry.

2.1 Material properties

Ductile carbon steel is used in this study as it is a commonly used material in the oil and gas pipes. The pipe material properties were based on existing literature, giving the true stress and plastic strain data for the X80 [20] and X60 [25] pipes. The material is modelled as an isotropic elasto-plastic material and true stress-true strain data are employed within Abaqus. It is acknowledged that some anisotropic behaviour does exist in the pipes as a result of the manufacturing processes; however, considering that the isotropic behaviour has yielded accurate results in terms of predicting failure pressure as reported by many researchers in the past [8, 11, 15, 16, 26-28], only an isotropic hardening rule is used in this work. The true stress-strain values are obtained from the engineering uniaxial stress-strain data using equations (1) and (2) which are only valid up to necking where the loading situation is no longer uniaxial throughout the gauge length [29]:

$$\varepsilon_{true} = \ln(1 + \varepsilon_{eng}) \quad (1)$$

$$\sigma_{true} = \sigma_{eng}(1 + \varepsilon_{eng}) \quad (2)$$

where σ_{eng} and ε_{eng} are the engineering (nominal) stress and strain respectively, while σ_{true} and ε_{true} are the true stress and strain respectively. Both material nonlinearity and nonlinear geometry (NLGEOM parameter in Abaqus) were invoked in the analysis. The stress-strain curves used in this study are presented in Fig. 1. Fig. 1. True stress-plastic strain values for X80 [20] and X60 Pipes [25]

The plasticity data were entered as discrete points on the stress-strain data, as required by the Abaqus FE software [30]. The material data for X60 and X80 are presented in Table 1.

Table 1. Mechanical properties of the two materials used in the model validation and parametric study

Material	E (GPa)	ν	σ_Y (MPa)	$\sigma^{Eng.UTS}$ (MPa)	$\sigma^{TrueUTS}$ (MPa)
API 5L X60 [25]	207	0.3	435	560	630
API 5L X80 [20]	200	0.3	601	684	746

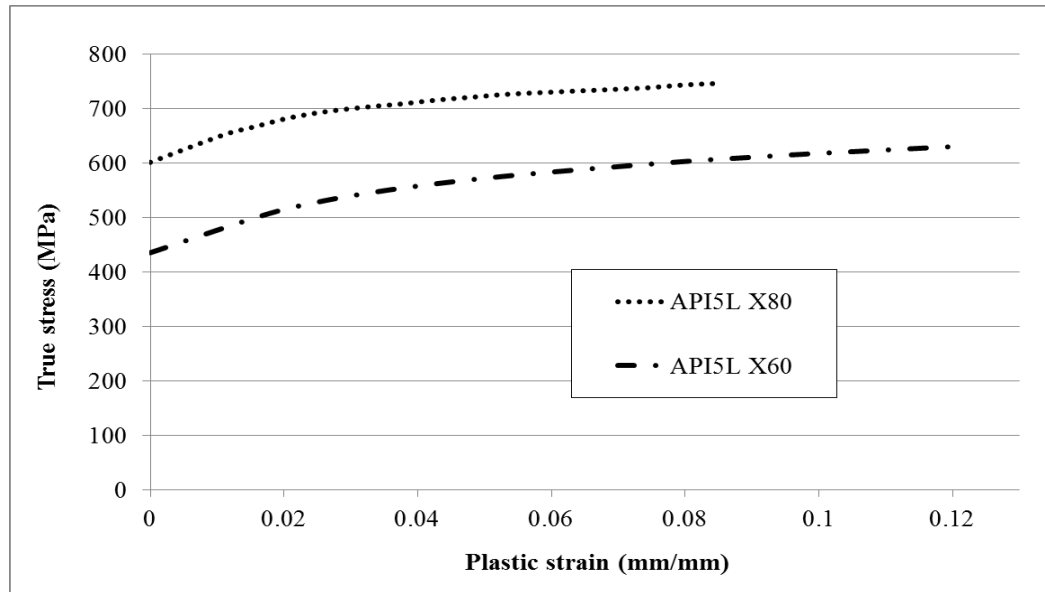


Fig. 1. True stress-plastic strain values for X80 [20] and X60 Pipes [25]

2.2 Defects Details and Dimensions

Two types of defects on the outer surface of the pipe are modelled; circular defects and curved ‘boxed’ defects. The circular and boxed defect geometries have been chosen in order to make it practical to machine these defects on actual steel pipes to facilitate future experimental burst pressure tests. For a pipe with a nominal outside diameter of 508 mm, the defect depth tested is 50 % of the wall thickness for all the cases, with a radius of 35 mm for the circular defects and a square of side 35 mm for the curved boxed shaped defects. For the curved boxed defects, the radius of the groove throughout the defects edge is 5 mm, as shown in Fig. 2. The curvature arc is created at a 45° degree from the corner of the defect. Fig. 3 shows a schematic of a typical circular defect which was adopted for the models created in the study. The distance between the defects is shown as (S) and is expressed as multiples of the wall thickness (t).

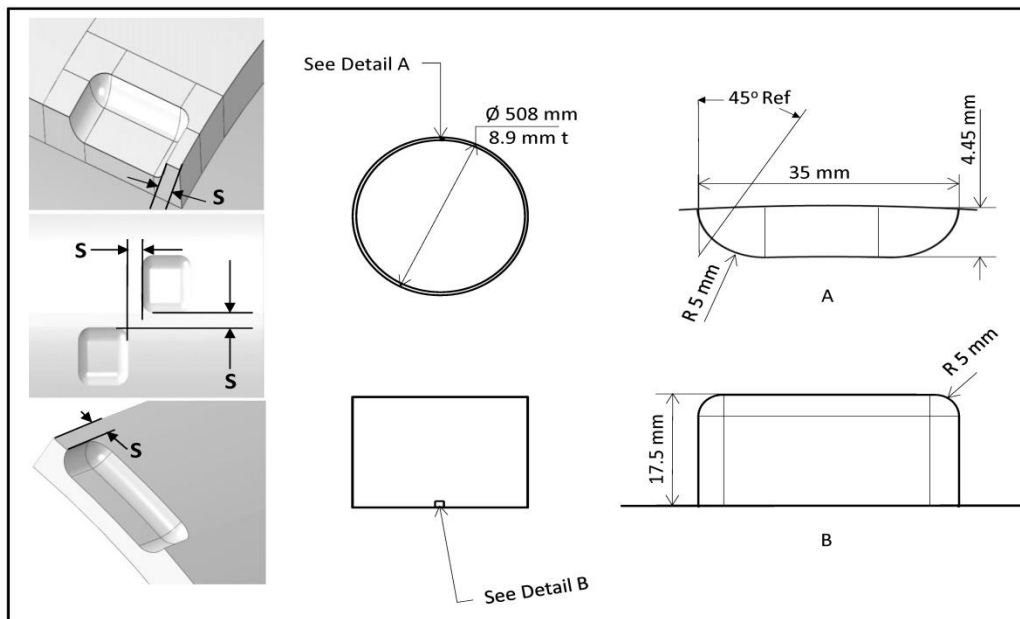


Fig. 2. Detailed views of the curved boxed shaped defect

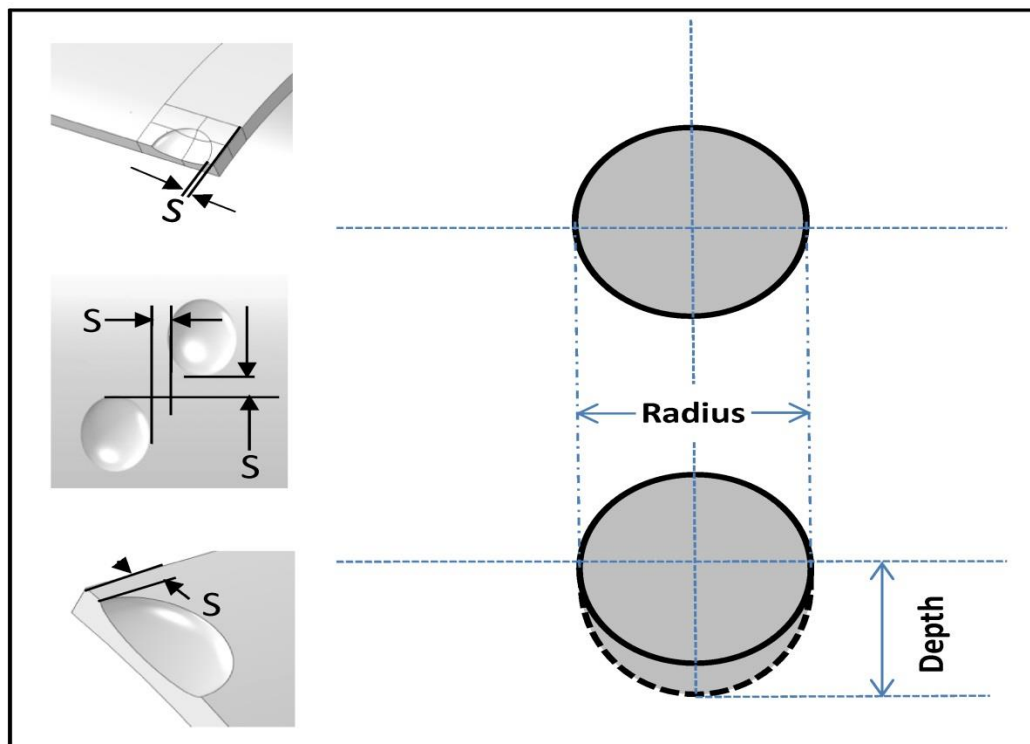


Fig. 3. Schematic view of the circular shaped defect

2.3 Problem Definition

As indicated in Section 2.1, the pipe materials used in this work were composed of pipes made of API 5L X60 and X80 steel. Both of the materials were initially used to compare the present FE solutions to other published FE solutions, and later X60 was used for the parametric study. Pipes are normally manufactured in average lengths of 12 meters. However, the numerical simulation study uses pipe lengths of 1.8 m which has been demonstrated in the literature to be sufficient to cater for the end effects [25, 31]. The 1.8 m pipe length is chosen here as a practical pipe length to enable future experimental laboratory tests of pipe burst pressures. The nominal outside diameter is 508 mm with wall thicknesses of 8.9 mm for X60 while X80 nominal outside diameter is 458.8 with a wall thickness of 8.1 mm.

Symmetry conditions were applied to reduce the size of the model which results in better computational efficiency. Fig. 4 shows the boundary conditions for both longitudinal and circumferential defects. For the longitudinal and circumferential defects, half the pipe length was modelled due to symmetry, whereas for the diagonal defects which are made with 45° angle, the full pipe length was modelled. This resulted in a quarter-symmetry model for the longitudinal and circumferential defects and a half-symmetry model for the diagonal defects.

To simulate a pipe with end caps and to restrain the pipe from expanding or contracting in the longitudinal direction, plane strain conditions were assumed at the free end of the pipe, i.e. the pipe end was restrained in the axial (Z) direction. To avoid rigid body motion, one node was fixed in all directions. No axial load was applied and internal pressure loading was applied monotonically within Abaqus. This is in line with other FE simulations in the literature [25, 31-36].

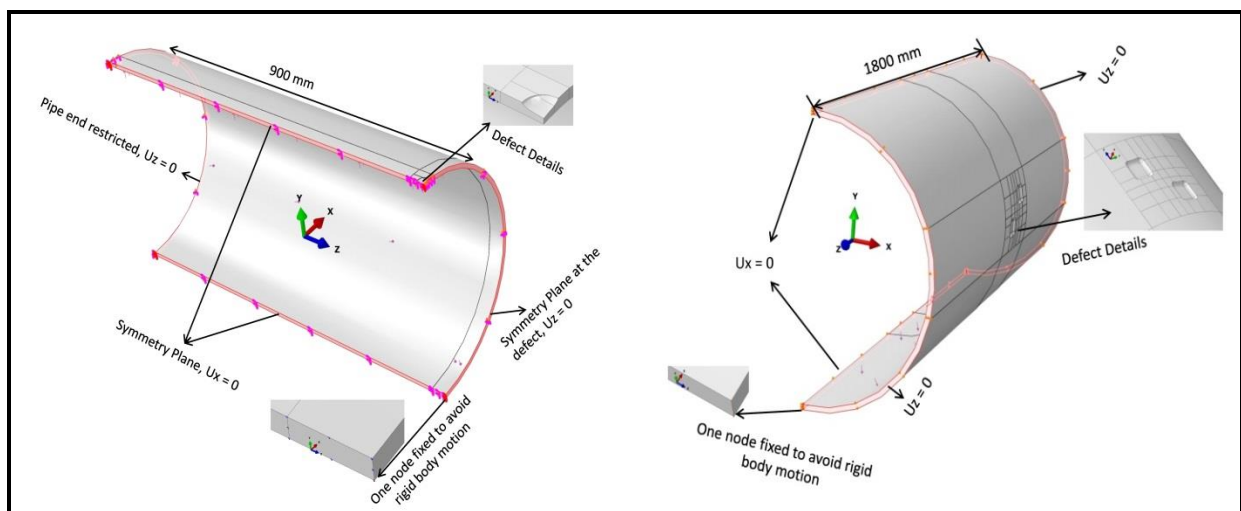


Fig. 4. Model Boundary Conditions – Left image shows typical BC for longitudinal and circumferential defects while the right one shows typical BC for diagonal defects

2.4 Finite element models and associated sensitivity studies

The FE analysis was carried out using the Abaqus FE software version 6.14 [23]. 3D models were created in order to investigate the model mesh sensitivity. Different cases with the same pipe material, X60, were tested at the defect locations in order to compare against experimental data from the literature [25]. The first case was simulated with quadratic tetrahedron elements (C3D10 in Abaqus) at the defect base while the surrounding zones were all meshed with quadratic hexahedron elements (C3D20R in Abaqus). The second case was simulated using quadratic tetrahedron elements at the defect corner while all the surrounding areas were all meshed with quadratic hexahedron elements (C3D20R in Abaqus). The third case was simulated using quadratic tetrahedron elements throughout the model. The Fourth case was simulated with quadratic hexahedron elements throughout the model. In all cases, a coarser mesh was used away from the defect location to reduce the total number of elements and nodes. The mesh details for all the cases at the defect region are shown in Fig. 5. The results obtained for all tested cases are summarised in Table 2 and further shown in Fig. 6, keeping in mind that all input parameters are the same for all the cases. The experimental

pressure [25] is also shown for comparison. The maximum von Mises stress value occurred at the defect surface around the base of the curvature. The node selected for plotting the von Mises stress variation in Figure 6 was chosen at the centre of the defect where the pipe wall thickness is smallest. The failure criteria discussed in Section 2.5 are based on the variation of stress across the minimum wall thickness at the centre of the defect.

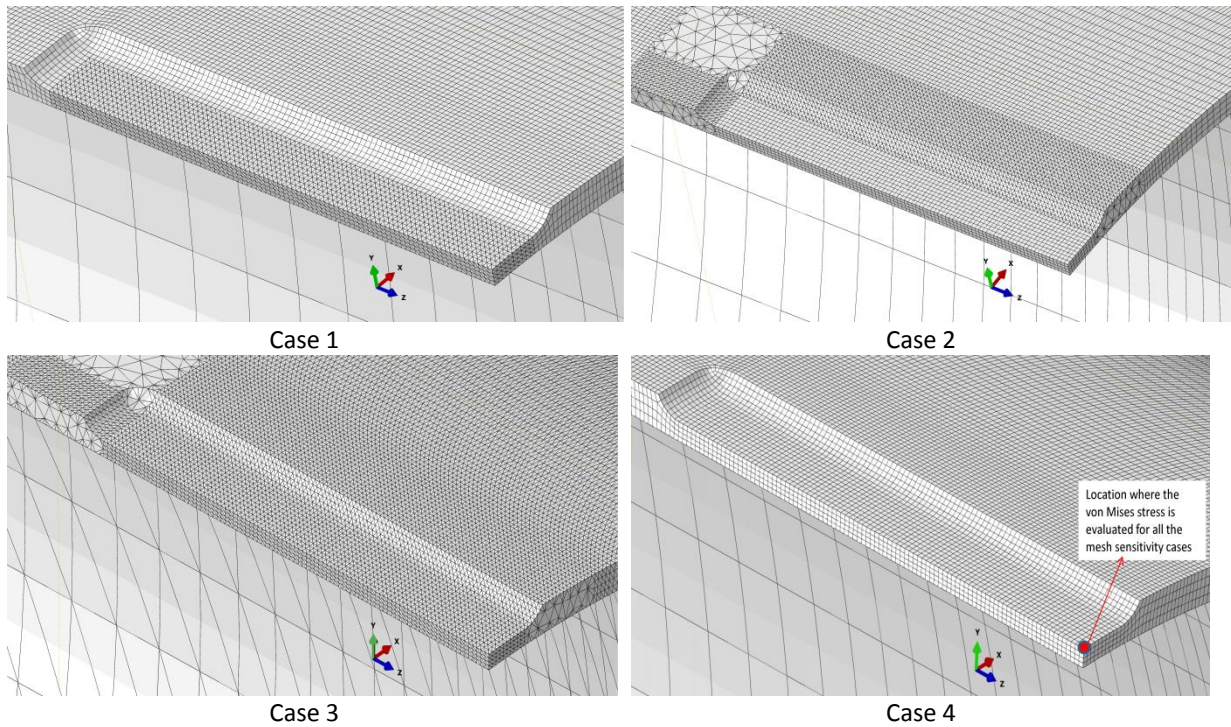


Fig. 5. Mesh details of different cases (case 4 indicates the position where the von Mises stress is evaluated for all the cases)

Table 2. FE mesh sizes and run time details

Mesh Type	Mesh Case	No of model elements	Analysis Time (hr:m)
Tet. quadratic elements at defect base (all hex quadratic elements at other areas)	1	75702	1:36
Tet. quadratic elements at defect corner (all hex quadratic elements at other areas)	2	118488	1:30
Tet. quadratic elements throughout mesh	3	281972	2:06
Hex quadratic elements throughout mesh	4	59173	1:09

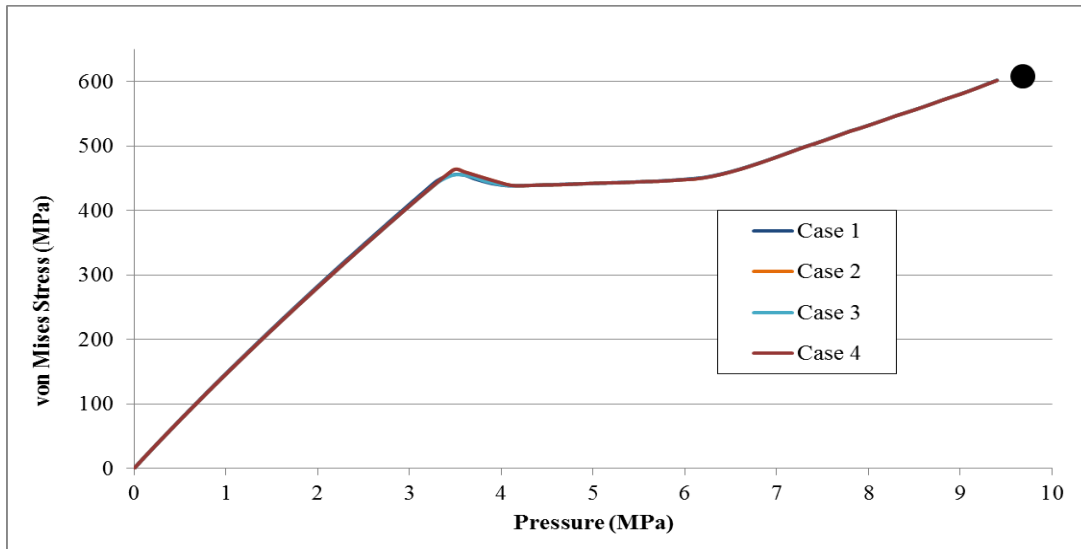


Fig. 6. von Mises stress values for different meshes at the node located at the centre of the defect of X60 pipe showing the failure pressure value (shown in dark circle) from [25]

Fig. 6 shows that all 4 cases produce very similar von Mises solutions suggesting that if the mesh at the defects is sufficiently refined, the choice of elements does not significantly affect the results. This conclusion has also been backed by a study done by Wang et. al [37] who show that using quadratic tetrahedral or hexahedra elements produced accurate results when the mesh is sufficiently refined. As a result, case 4 has been adopted throughout this work.

A mesh density study considering Case 4 was also carried out where the number of elements was varied through the thickness of the pipe. The study was conducted by placing 3 to 7 quadratic elements through the wall thickness, as shown in Fig. 7 where the stresses were all taken at the node located at the centre of the defect. The results show that increasing the number of elements beyond 3 elements across the wall thickness has a very small effect on the stress values. At the node located at the centre of the defect, the von Mises stress tends to flatten after reaching the yield point and then increases gradually as the pressure is increased. This may be due to the post-yield stress redistribution around the node located at the centre of the defect.

Table 3 shows that as more elements are added across the wall thickness, the total number of elements in the FE mesh increases substantially. The run time for the FE analysis increased from about an hour for 3 elements across the wall thickness to more than 7 hours for 7 elements. It is worth mentioning that all the cases were run on a High Performance Computing (HPC) facility using a single 8-core (Intel Sandybridge 2.6 GHz) machine with 30 GB of memory.

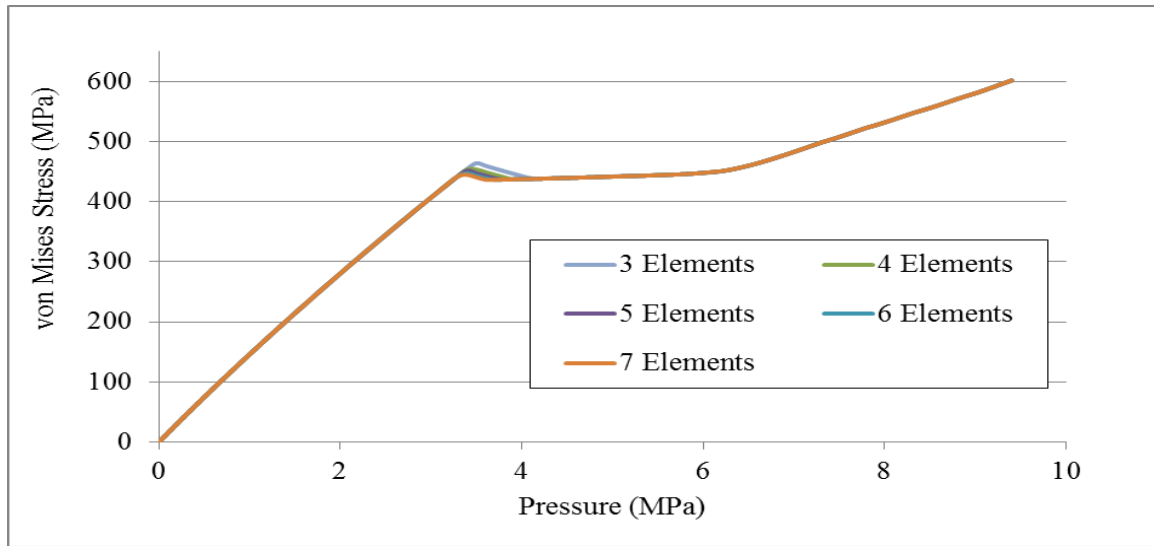


Fig. 7. Plot of von Mises stress variation with pressure for various elements placed across the wall thickness at the node located at the centre of the defect

Table 3. Details of the mesh size vs the number of across the wall thickness

No. element through thickness	No of model elements	Analysis Time (hr:m)
3	59173	1:09
4	78859	2:00
5	98545	2:57
6	118231	5:01
7	137917	7:24

The outcome of this sensitivity assessment gives a clear direction that the number of through-thickness elements should be kept as small as possible considering the required time to complete the analysis. The FE solutions in this study are all based on 3 to 5 elements through the thickness. A study by Cronin [38] has also shown that more than two elements across the wall thickness are sufficient for accurate analysis.

2.5 Failure Criteria

Pipe failure pressure is normally defined as a pressure above which the pipe will fail either through leak or rupture. The majority of pipes in the oil and gas sectors are made of ductile steel and operate in such a way that failure would occur in a ductile manner unless toughness is compromised leading to fracture. The failure criteria used in this work follow the stress-based failure criterion which has been widely used and shown to predict the collapse pressure of corroded pipes with good accuracy by various researchers [8, 11, 13, 16, 39-42].

Although there is a general agreement on the use of the stress-based failure criterion for predicting the failure pressure in pipes, there are various opinions regarding how the highest value of the true UTS within the corroded area leads to failure. Adilson et. al [11] and Freire José et al. [20], considered two criteria for the failure pressure to occur within the simulated model, one is local in which failure is reached when the von

Mises stress at any point of the defect region attains the true UTS of the material, while the second one which is global considers failure to take place when the nonlinear analysis algorithm in the FE software does not attain convergence. Filho et. al [16] used a similar failure criterion as suggested by Adilson et. al [11] where the pipe is considered to have failed when any element reaches stresses equal to the material's true UTS value. Bedairi et. al [25] stated that failure pressure within the FE model was reached when the von Mises stress at the defect bottom reaches the true UTS of the material. Ma Bin et. al [34] considered failure to take place once the von Mises equivalent stress at the mid surface of the corroded ligament reaches the true UTS of the material. Fekte et. al [27] considered the failure pressure of the corroded pipes to occur when the von Mises equivalent stress at the deepest point of the defect area reaches the true UTS of the considered pipe material.

The choice of using a stress-based failure criterion also follows the pipe design codes such as ASME B31.4 [43] and ASME B31.8 [44] which are based mainly on stress-based designs considering various assumptions such as plane stress using isotropic, linear elastic and homogeneous materials where displacements are very small. The strain-based approach which postulates that failure occurs when the applied strain exceeds the maximum strain value during burst was refuted by Chouchaoui [8] as it reveals large scatters in the prediction of the pipe failure pressure. Additionally, failure of the local wall-thinned pipe under internal pressure is a failure by load-controlled loading rather than displacement-controlled loading [13]. The stress-based failure criterion, which is based on the von Mises criterion, suggests that failure is initiated when the stress at the metal loss site reaches the pipe material's true UTS. The stress-based failure criterion is used below to predict yielding of the pipe material based on results obtained from the uniaxial tensile test data.

Failure criteria that are based on the von Mises stress at a single point (node) reaching the true UTS of the material in the defect zone, would be highly sensitive to the degree of mesh refinement around the defect region. Failure criteria based on the von Mises stresses at all points across the thickness of the pipe at the defect region are less sensitive to mesh refinement. Therefore, two failure criteria are adopted in this work. The first failure criterion is used for a single defect and it predicts that the failure pressure, P_{Defect} , occurs when the von Mises equivalent stress in the pipe wall ligament (line AB in Fig. 8) reaches a stress value between the engineering ultimate tensile strength (UTS) and true UTS obtained from the uniaxial tensile test, rather than reaching a single stress value. Therefore, in the FE analysis, failure is assumed to occur when all nodes on line AB (rather than a single node) have reached a stress range between the engineering and true von Mises UTS values. This is considered more effective than judging failure by a single node reaching the true UTS, which may be sensitive to the mesh refinement around the highly stressed region around the defect.

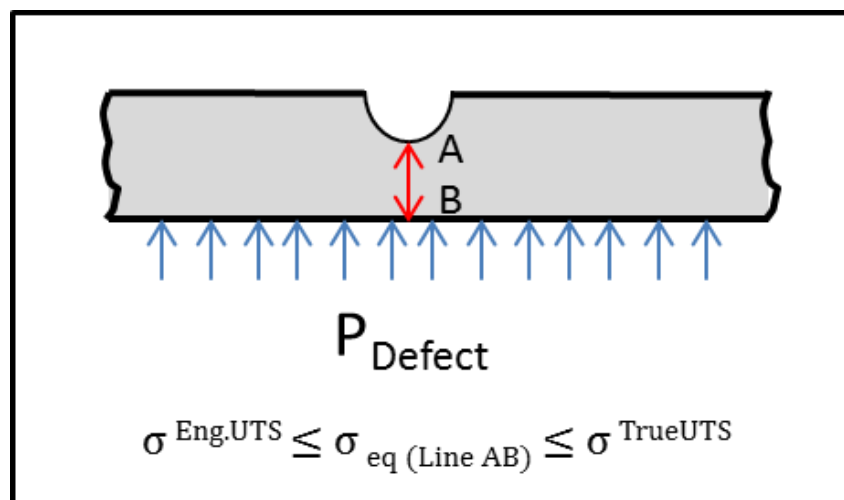


Fig. 8. Failure criterion for a single metal loss defect

The second failure criterion is used for interacting defects and it predicts failure pressure, P_{Multi} , to occur when the failure criterion above is reached on the spacing between the defects at or before reaching it in the through-thickness ligament. In other words, the von Mises equivalent stress along the length between the two defects (line CE in Fig. 9) reaches a stress value between the engineering UTS and the true UTS at or before the through-thickness space denoted by the AB. Therefore, interaction will not occur if the von Mises stress only reaches the true UTS value at any point along the line AB before line CE. In this case, failure will occur due to the presence of a single defect, i.e. no interaction is assumed. As the FE analysis considers only a quarter of the model for the longitudinally and circumferentially spaced defects, the results presented will show the stresses on line CD which is a mirror image of line DE.

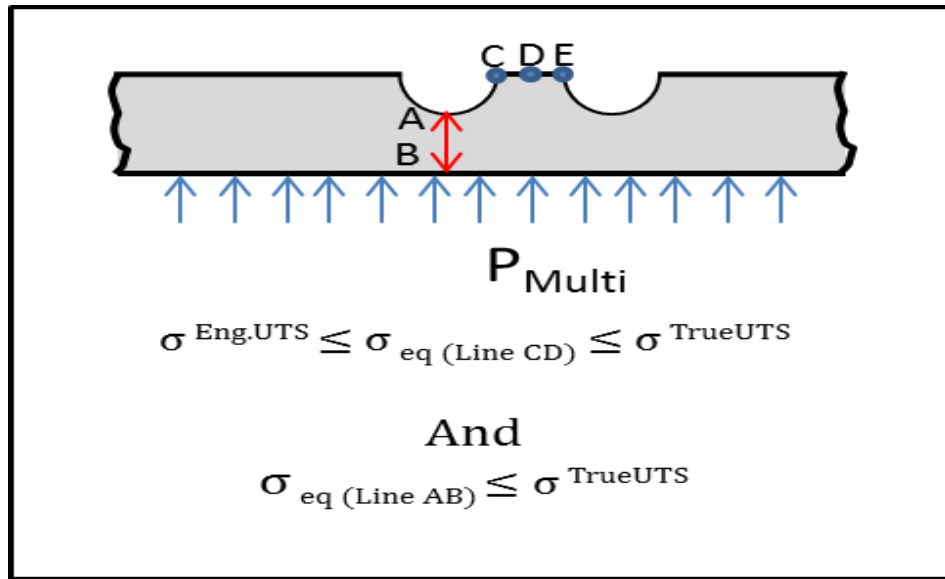


Fig. 9. Failure criterion for interacting metal loss defects

It is worth noting that FE software is unable to predict the real-life failure pressure of the pipe due to local numerical instabilities that occur once the maximum UTS is reached. This is due to the fact that the true stress-true strain curve used in Abaqus extends beyond the UTS value of the material obtained from a uniaxial tensile test. In this study, an initial estimate of the failure pressure is used in the FE analysis and then gradually increased until the relevant failure criterion is satisfied.

2.6 Finite element study

The models created in this work have been validated by comparing the predicted FE failure pressure to experimental results from the literature. The cases stated in Table 4 are from studies conducted by Bedairi et al., [25] and Freire José et al., [20]. In [25], a pipe grade of API 5L X60, outer diameter of 508 mm with a wall thickness of 5.7 mm (0.224 inch) was used. A single defect was assessed in this case. In [20], pipe grade API 5L X80, outer diameter of 458.8 mm with a wall thickness of 8.1 mm (0.319 inch) was utilised. Two interacting longitudinal defects were studied in this case. Table 4 summarises the parameters used. The failure criteria of both works have been highlighted earlier in the failure criterion section.

Table 4: Model validation results

No	Ref.	Pipe Defects Details	Published Experimental Burst Pressure (MPa)	Published FEA Failure Pressure (MPa)	FEA Failure Value in this work (MPa)	Percentage difference	
						Published Experimental Burst pressure	Published FEA Failure Pressure
1	Bedairi et al., [25]	X60 OD: 508 mm t: 5.7 mm Defect type: Rectangular Defect Length: 200 mm Defect Width: 30 mm Defect depth: 45%	9.59	9.42	9.4	2%	0.2%
2	Freire José, et al., [20]	X80 OD: 458.8 mm t: 8.1 mm Defect type: Rectangular Defect Length: 39.6 mm Defect Width: 31.9 mm Defect depth: 5.32 Spacing: 20.5 mm	20.30	19.60	19.33	5%	2%

To further illustrate how the results in Table 2 are reached in this paper, test ID no. C1 by Bedairi et al., [25] was used. A high pressure of 12 MPa (higher than the predicted failure pressure) was applied to the pipe. The FE analysis was aborted due to numerical instabilities at a pressure of 9.873 MPa which is 5% higher than the predicted burst pressure. The evolution of the von Mises stress as the pressure is increased is plotted at the 7 nodes placed across the pipe wall thickness (line AB) in Fig. 10. The location of AB where pressure vs stress evolution is taken is further shown in Fig. 11. As expected, the highest von Mises stress is initially at point A on the defect surface and then spreads across the pipe wall thickness as the pressure is increased. There is a very slight difference between the final von Mises stress values on line AB. This is due to the post-yield stress redistribution around the defect. As stated in the failure criterion for a single defect in Section 2.5, failure is clearly seen to occur in the through thickness of the defect at a pressure of 9.4 MPa where the stress is bounded by the engineering UTS value of 560 MPa and the true UTS value of 630 MPa.

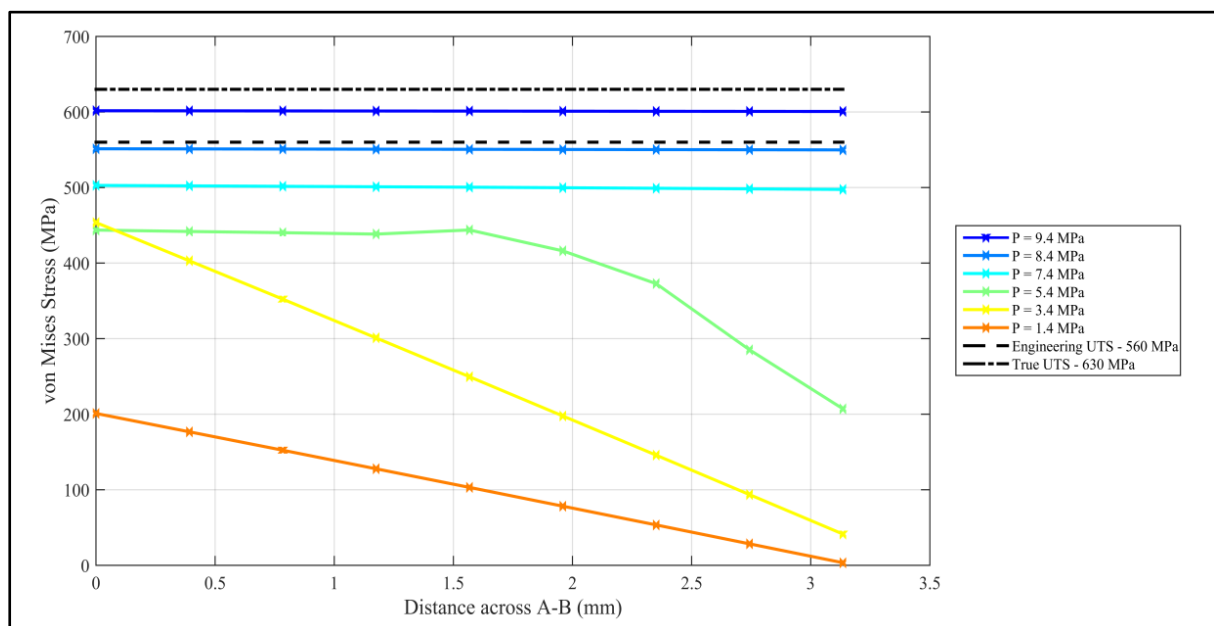


Fig. 10. von Mises stress curves at different pressure increments across the pipe wall thickness Line (AB) for case no. 1 in Table 4

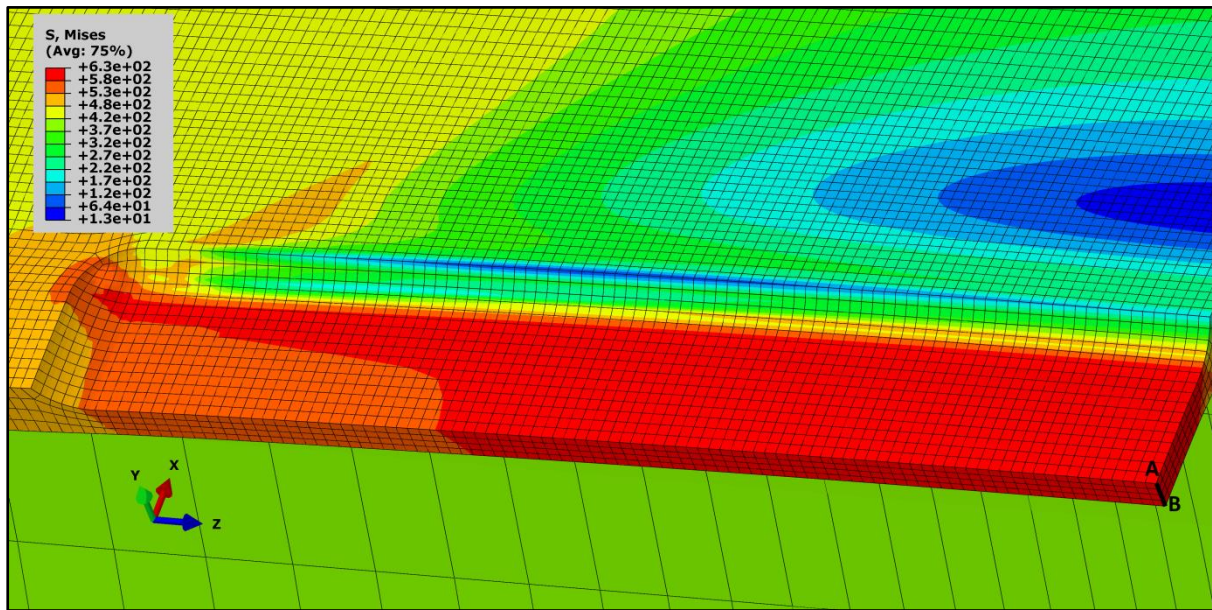


Fig. 11. Stress contours around the defect area showing the location of line AB

2.7 Simulation Results for Interacting Defects

The effect of defect spacing between circumferential and boxed defects was investigated and the results are presented in this section. All cases were modelled with C3D20R elements with varying number of elements as shown in Table 5 for both the circular and boxed defects, with 4 elements across the wall thickness. Table 5 summarises the cases which were modelled in the study for the X60 pipe with an outer diameter of 508 mm and wall thickness of 8.9 mm. The detailed discussions of the results are presented in the subsequent sections.

Table 5. Summary of parametric models results (X60)

Test Case No.	Defect type and location		Defect Dimensions			Spacing as multiples of t and in (mm)	Mesh Size (total no. of elements)	Predicted Failure Pressure (MPa)	Defect interaction (Yes/No)
	Type	Location	Length (mm)	Width (mm)	Depth (mm)				
1	Circular	Longit.	35	35	4.45	1t (8.9)	43314	18.00	Yes
2	Circular	Longit.	35	35	4.45	2t (17.8)	45946	18.40	Yes
3	Circular	Longit.	35	35	4.45	3t (26.7)	47826	18.40	Yes
4	Circular	Longit.	35	35	4.45	4t (35.6)	50990	18.60	No
5	Boxed	Longit.	35	35	4.45	1t (8.9)	42095	17.20	Yes
6	Boxed	Longit.	35	35	4.45	2t (17.8)	45815	17.40	Yes

7	Boxed	Longit.	35	35	4.45	3t (26.7)	48791	17.60	Yes
8	Boxed	Longit.	35	35	4.45	4t (35.6)	52511	17.60	No
9	Circular	Circumf.	35	35	7.12	1t (8.9)	42652	16.80	No
10	Circular	Circumf.	35	35	4.45	0.5t (4.45)	42486	19.40	No
11	Boxed	Circumf.	35	35	7.12	1t (8.9)	47150	15.00	No
12	Boxed	Circumf.	35	35	4.45	0.5t (4.45)	44984	18.88	No
13	Circular	Diag.	35	35	4.45	1t (8.9)	191752	18.90	No
14	Circular	Diag.	35	35	4.45	0.5t (4.45)	189256	18.90	No
15	Boxed	Diag.	35	35	4.45	1t (8.9)	157660	17.60	No
16	Boxed	Diag.	35	35	4.45	0.5t (4.45)	154780	17.40	Yes

2.7.1 Effect of spacing on circular defects

2.7.1.1 Spacing in the longitudinal direction

Fig. 12 shows the stress contours and location of lines AB and CD where the stresses are plotted. Fig. 13 and Fig. 14 present the stress evolution for circular defects spaced by one wall thickness at 50% wall loss. The interaction criterion stated in section 2.5 (Fig. 8 and Fig. 9) clearly shows that the von Mises stress along line CD reaches the failure criterion before the von Mises stress in the through-thickness line AB, i.e. the defects will interact prior to the failure of the pipe due to a single defect.

Simulation cases for the X60 pipe were carried out until interaction has ceased to occur. The results of the analysis in Table 5 show that the defect interaction (i.e. 100% of line CD reaching the failure criterion before line AB) occurs for defect depths of 50% of the wall thickness for distances up to and including 3t.

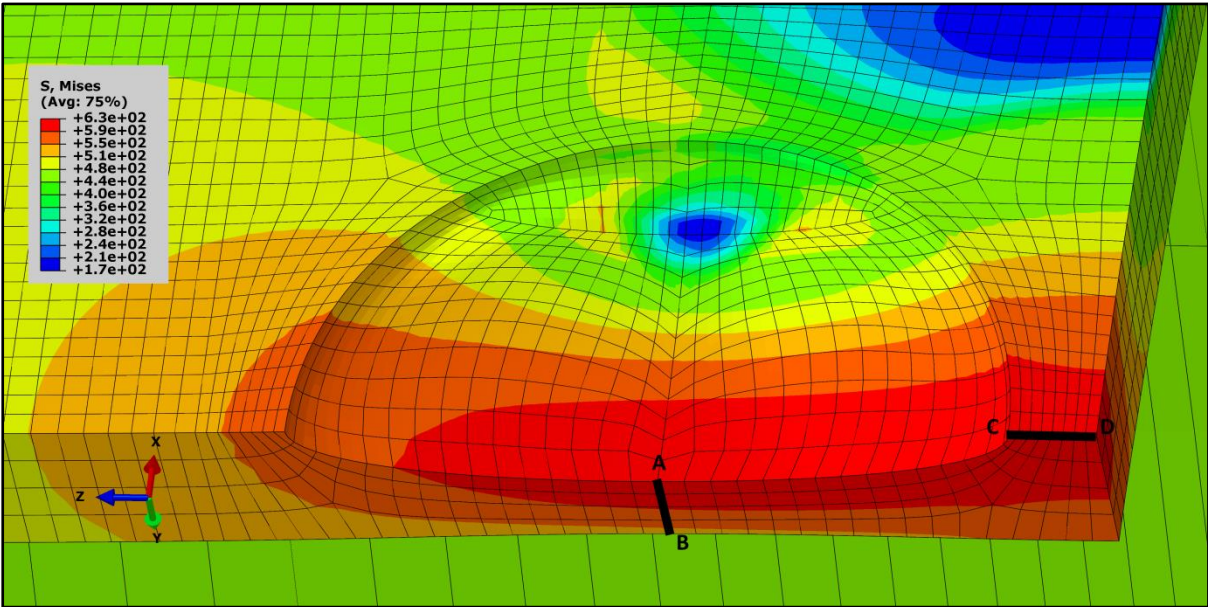


Fig. 12. Stress contours around the defect area showing the locations of lines AB and CD

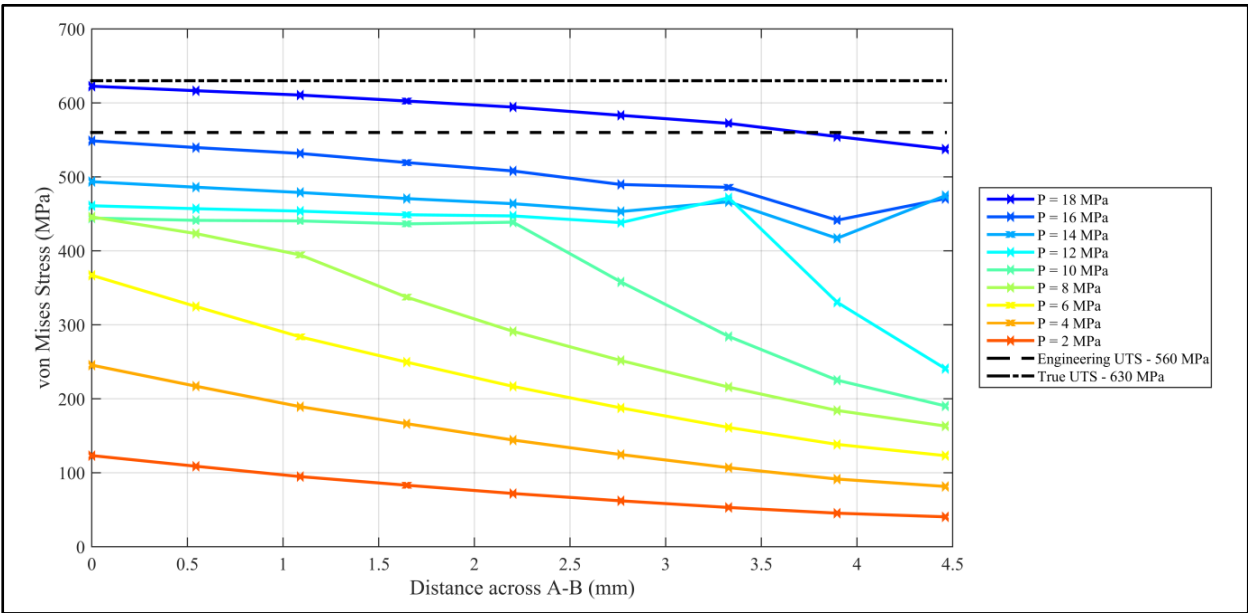


Fig. 13. von Mises stress curves at different pressure increments across the pipe wall thickness Line (AB)

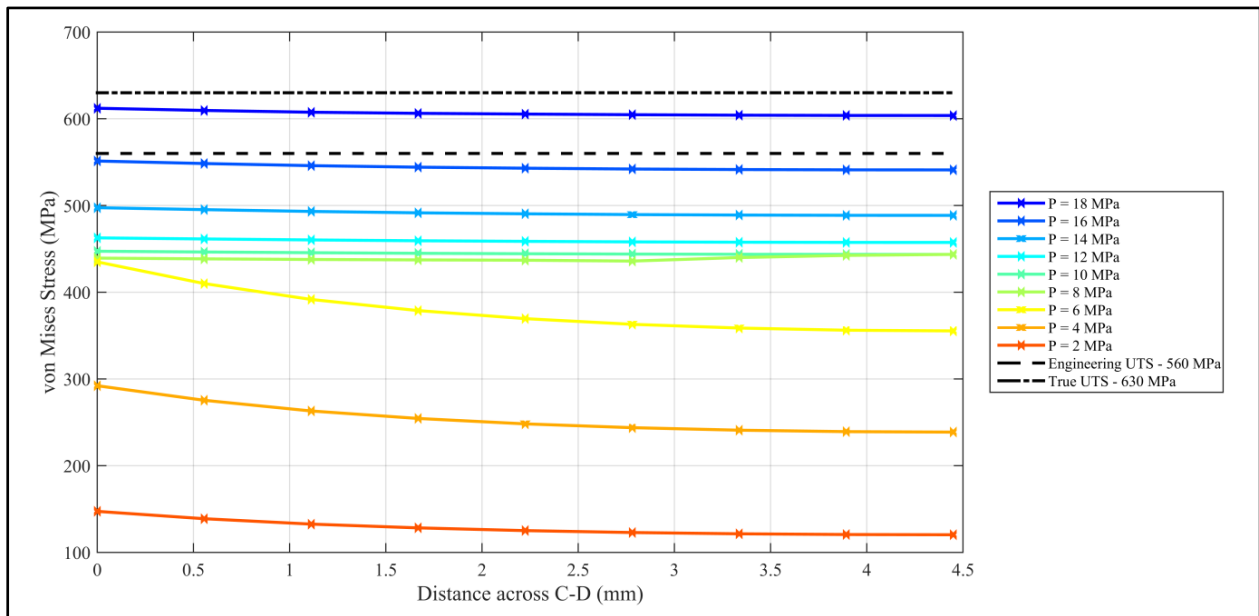


Fig. 14. von Mises stress curves at different pressure increments across the ligament between the two defects (CD)

2.7.1.2 Spacing in the circumferential direction

Fig. 15 shows typical von Mises stress contours around the circular defects in the circumferential direction for X60 with 8.9 mm wall thicknesses with 50% defect and 0.5t spacing. The FEA analysis considered quarter symmetry and the figure shown has been produced using Abaqus mirror facility in the post processing module. The FE analysis shows that, for defect depths of 50%, defects will not interact when spaced by 1t or more in the circumferential direction.

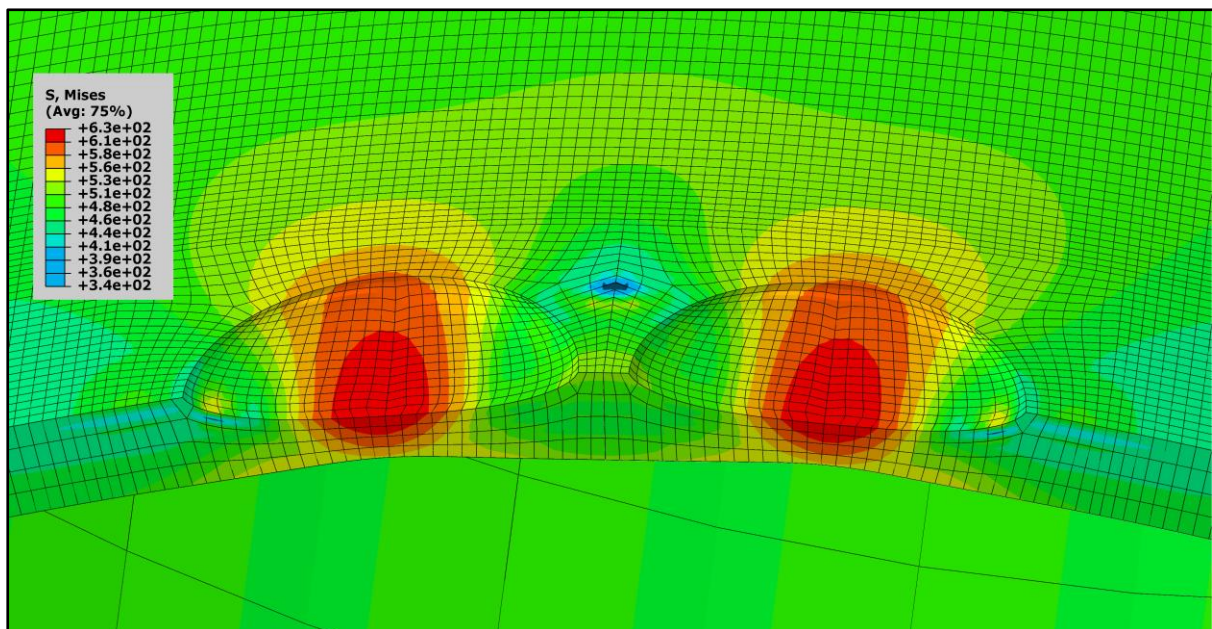


Fig. 15. Effect of circumferential spacing on circular defects in X60 Pipes with 50% defect and 0.5t spacing

2.7.1.3 Spacing in the diagonal direction

The simulation results obtained for diagonal circular defects shows that defect interaction does not occur even when the defects are spaced by 0.5t for a defect depth of 50%. In this case, the mode of failure will be local at the centre of each of the two defects rather than a crack line joining the two defects.

2.7.2 Effect of Spacing on boxed shape defects

2.7.2.1 Spacing in the longitudinal direction

Fig. 16 and Fig. 17 present the stress evolution for boxed defects spaced by $1t$ in the longitudinal direction with 50% wall loss. Fig. 18 shows the stress contours and location of lines AB and CD where the stresses are plotted. The results presented were further analysed by varying the defect spacing and investigating the impact on defect interaction. Defect interaction in the longitudinal direction was present for spacing up to and including $3t$, similar to that seen for the circular defects.

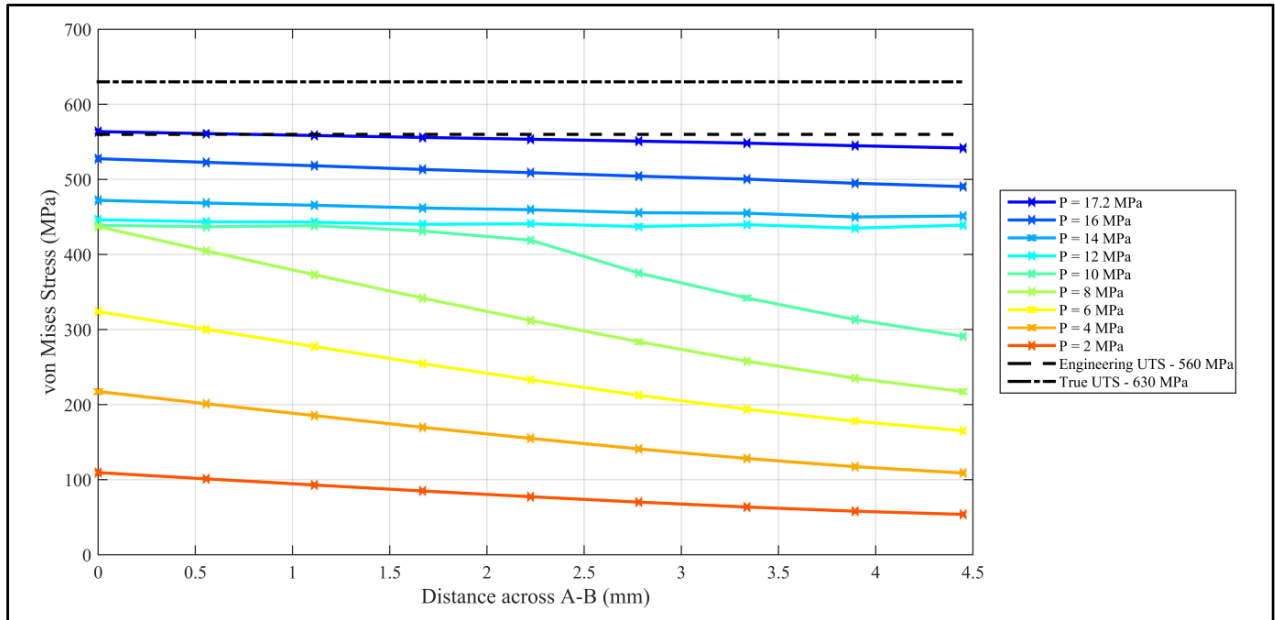


Fig. 16. von Mises stress curves at different pressure increments across the pipe wall thickness Line (AB)

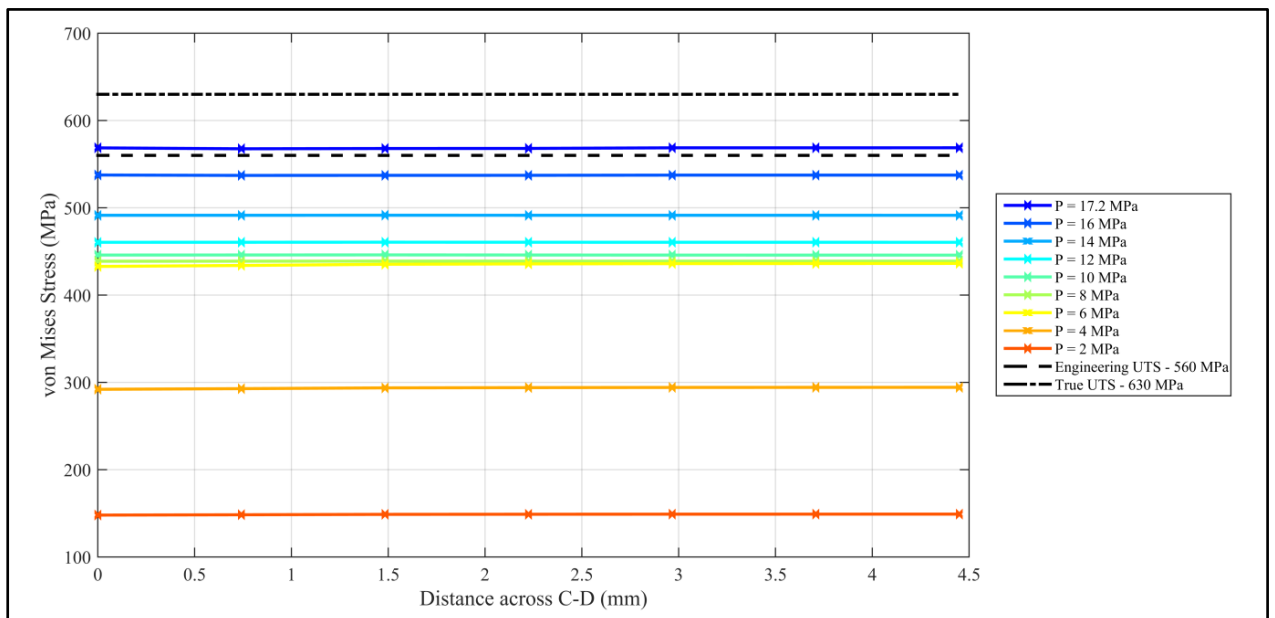


Fig. 17. von Mises stress curves at different pressure increments across the ligament between the two defects (CD)

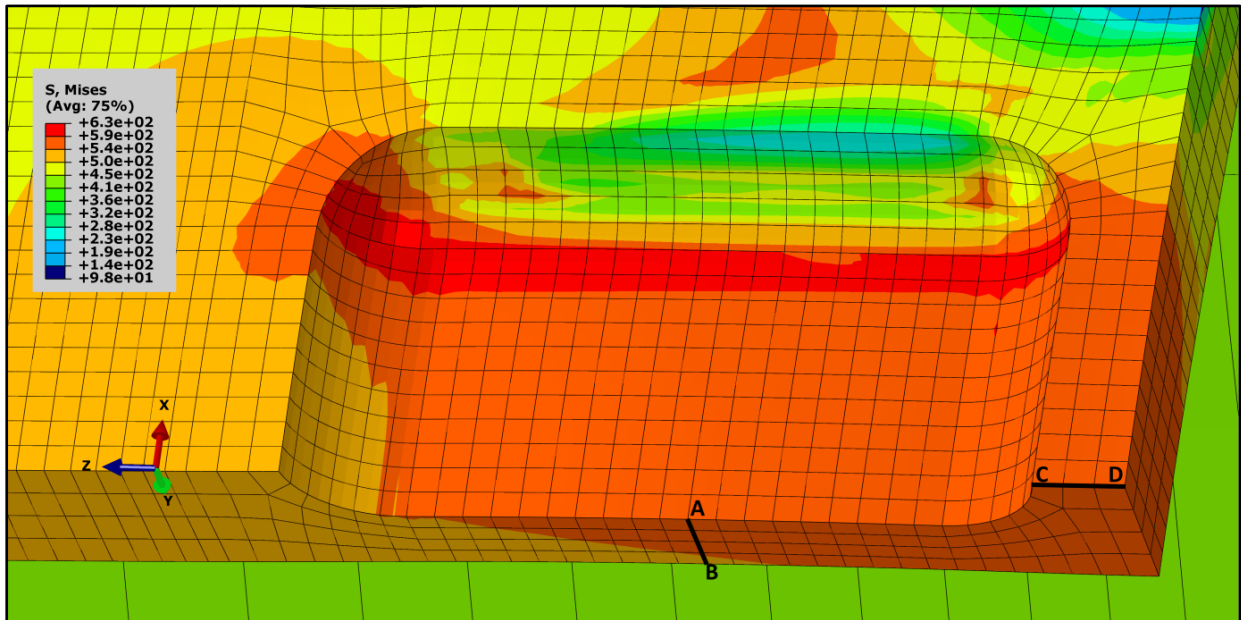


Fig. 18. Stress contour around the defect area showing the locations of lines AB and CD

2.7.2.2 Spacing in the circumferential direction

The simulation results for the curved box shape defects, for a defect depth of 50% of the wall thickness, show that defect interaction does not occur for defects spaced by $1t$. The same parametric study was conducted for a spacing of $0.5t$ which has shown that interaction does not occur and defects will fail individually.

2.7.2.3 Spacing in the diagonal direction

The simulation results for the curved box shaped defects analysed in this study were quite different than those seen in the circular defects as defects appear to interact when they are spaced by $0.5t$ as shown in Fig. 19.

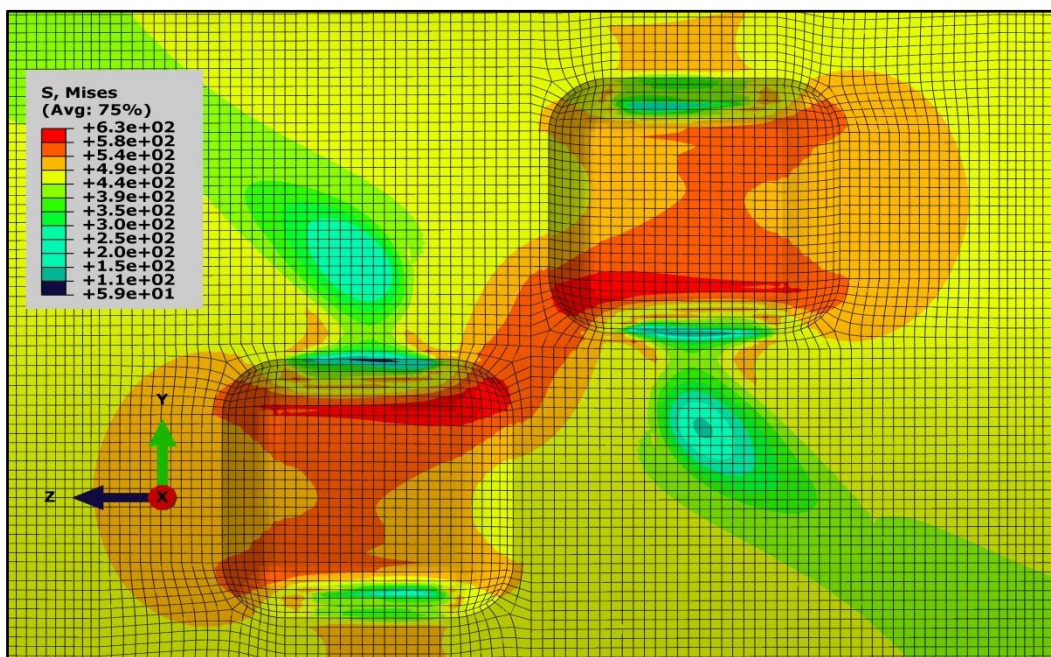


Fig. 19. von Mises contour stress around the curved boxed diagonal defects for X60 pipe with 50% wall loss defect and $0.5t$ spacing

3 Conclusion

The numerical results in this study relating to metal loss defects for X60 and X80 pipes are presented. The study aims to investigate the interaction effects of shape and location of closely spaced metal loss defects. The failure criteria adopted in this study differentiated between failure of single and interacting defects. The failure of a single defect is assumed to occur when the through-thickness wall ligament reaches a von Mises stress range between the engineering and true ultimate tensile stress values.

Defect interaction is assumed to occur when the spacing between the defects reaches a von Mises stress range between the engineering and true UTS values before it is reached in the through-thickness wall ligament. Interaction leads to a rupture mode of failure, while its absence will lead to only local failure at each individual defect. The stress distribution from the present FE analysis is comparable with the published results of Freire José, et al., [20] which further strengthens the proposed failure criteria.

The FE parametric study was mainly focussed on X60 pipes and on defects penetrating 50% of the pipe wall thickness. The results clearly show that circular shaped defects spaced longitudinally by a distance of $3t$ or less will interact leading to a rupture failure mode rather than local failure at each of the defects. The case was also the same for the curved boxed defects as interaction occurred up to $3t$. The simulation work presented shows also that circumferentially spaced defects for both of the defect shapes will not interact if spaced by a distance of $0.5t$ or more. In other words, the pipe would fail from a single defect before defect interaction occurs. Defects spaced diagonally behaved differently when spaced by $0.5t$, as circular defects tended to fail individually and those with curved boxed defects tended to interact when spaced by a distance of $0.5t$ or less.

It is clear from the outcome of the study that the distance between defects, especially those which are located in the longitudinal direction, play a major role in the interaction and thus these defects should be treated as a single lengthier defect and assessed as such. The results of the diagonal defects further demonstrate that the shape of the defects plays a role in determining the pressure bearing capacity and mode of failure for closely spaced defects. An experimental validation program will be carried out in the future to further validate the work presented in this paper and will further pave the way for additional parametric cases with the objective of reducing the existing conservatism in the existing pipe standards when it comes to the assessment of defect interaction.

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