# Making Detailed Predictions Makes (Some) Predictions Worse 

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## Making Detailed Predictions Makes (Some) Predictions Worse


#### Abstract

In this paper, we investigate whether making detailed predictions about an event makes other predictions worse. Across 19 experiments, 10,895 participants, and 415,960 predictions about 724 professional sports games, we find that people who made detailed predictions about sporting events (e.g., how many hits each baseball team would get) made worse predictions about more general outcomes (e.g., which team would win). We rule out that this effect is caused by inattention or fatigue, thinking too hard, or a differential reliance on holistic information about the teams. Instead, we find that thinking about game-relevant details before predicting winning teams causes people to give less weight to predictive information, presumably because predicting details makes information that is relatively useless for predicting the winning team more readily accessible in memory and therefore incorporated into forecasts. Furthermore, we show that this differential use of information can be used to predict what kinds of games will and will not be susceptible to the negative effect of making detailed predictions.


## Degree Type

Dissertation

## Degree Name

Doctor of Philosophy (PhD)

## Graduate Group

Operations \& Information Management

## First Advisor

Joseph P. Simmons

## Keywords

decision-making, forecasting

Subject Categories<br>Other Psychology $\mid$ Psychology $\mid$ Social and Behavioral Sciences

# MAKING DETAILED PREDICTIONS MAKES (SOME) PREDICTIONS WORSE 

Theresa F. Kelly<br>A DISSERTATION

in
Operations and Information Management
For the Graduate Group in Managerial Science and Applied Economics
Presented to the Faculties of the University of Pennsylvania
in
Partial Fulfillment of the Requirements for the
Degree of Doctor of Philosophy
2015

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ABSTRACT<br>\title{ MAKING DETAILED PREDICTIONS MAKES (SOME) PREDICTIONS WORSE }<br>Theresa F. Kelly<br>Joseph P. Simmons

In this paper, we investigate whether making detailed predictions about an event makes other predictions worse. Across 19 experiments, 10,895 participants, and 415,960 predictions about 724 professional sports games, we find that people who made detailed predictions about sporting events (e.g., how many hits each baseball team would get) made worse predictions about more general outcomes (e.g., which team would win). We rule out that this effect is caused by inattention or fatigue, thinking too hard, or a differential reliance on holistic information about the teams. Instead, we find that thinking about game-relevant details before predicting winning teams causes people to give less weight to predictive information, presumably because predicting details makes information that is relatively useless for predicting the winning team more readily accessible in memory and therefore incorporated into forecasts. Furthermore, we show that this differential use of information can be used to predict what kinds of games will and will not be susceptible to the negative effect of making detailed predictions.

## TABLE OF CONTENTS

ABSTRACT. ..... ii
TABLE OF CONTENTS ..... iii
LIST OF TABLES ..... vi
Tables in the main text ..... vi
Tables in Appendix A1: Experimental instructions and designs ..... vi
Tables in Appendix A2: Additional measures ..... vii
Tables in Appendix A3: Alternative analyses ..... ix
LIST OF FIGURES ..... xii
Figures in the main text. ..... xii
Figures in Appendix A1: Experimental instructions and designs ..... xii
Figures in Appendix A2: Additional measures ..... xviii
INTRODUCTION ..... 1
Prior research on detailed predictions ..... 1
Forecasters only consider a subset of relevant information ..... 4
Forecasters use the information that is most accessible in memory ..... 7
Forecasters do not weigh information properly ..... 10
The present research: How do detailed predictions affect prediction quality? ..... 12
GENERAL METHODS ..... 15
Sample ..... 16
Procedure ..... 16
Prediction Quality ..... 22
Additional Measures ..... 23
RESULTS ..... 27
Does predicting scores make winner predictions worse? ..... 27
Does predicting other event details make predictions worse? ..... 29
Are predictions worse because people pay less attention? ..... 31
Are predictions worse because people think harder? ..... 34
Are predictions worse because people think less globally or more locally? ..... 37
Do people who make detailed predictions use useful information less? ..... 38
Which games will show the effect? ..... 44
GENERAL DISCUSSION ..... 47
APPENDIX A1: EXPERIMENTAL INSTRUCTION AND DESIGNS ..... 51
Example Experiment. ..... 51
Individual Experiments ..... 59
Experiment 1 ..... 60
Experiment 2 ..... 63
Experiment 3 ..... 67
Experiment 4 ..... 71
Experiment 5 ..... 75
Experiment 6 ..... 79
Experiment 7 ..... 82
Experiment 8 ..... 85
Experiment 9 ..... 89
Experiment 10 ..... 90
Experiment 11 ..... 90
Experiment 12 ..... 91
Experiment 13 ..... 94
Experiment 14 ..... 99
Experiment 15 ..... 100
Experiment 16 ..... 105
Experiment 17 ..... 111
Experiment 18 ..... 115
Experiment 19 ..... 116
Excluded Experiments ..... 120
Experiment E1 ..... 121
Experiment E2 ..... 124
Experiment E3 ..... 124
Experiment E4 ..... 125
Experiment E5 ..... 130
Experiment E6 ..... 133
Experiment E7 ..... 139
Experiment E8 ..... 143
APPENDIX A2: ADDITIONAL MEASURES ..... 147
Winning team probabilities / base rates (Experiments 7, 9, 11, 14-19) ..... 147
Prediction strategy (Experiments 3-6, 8, 10, 12) ..... 151
"Global" and "local" considerations (Experiments 1-16, E1-E8) ..... 151
"This time" vs. "usually" considerations (Experiments 17-19) ..... 154
Confidence and motivation (Experiments 3-19, E1-E8) ..... 157
Thinking carefully and effortfully (Experiments 13, 14, 19) ..... 159
Outcome variability (Experiments 8, 10) ..... 161
Outcome usefulness for predicting the winning team (Experiments 8, 10) ..... 163
Team liking (Experiment 12) ..... 164
Self-reported sports following and knowledge (Experiments 6-19, E5-E8) ..... 167
Measured knowledge (Experiments 1-19, E1-E8) ..... 168
Maximizing Tendency Scale (Experiments 1-2) ..... 172
Gender and age (Experiments 1-19, E1-E8) ..... 174
Instruction difficulty/confusion (Experiments 7, 9, 11, 14-19) ..... 174
Contact for future studies (Experiments 1-19, E1-E8) ..... 176
APPENDIX A3. ALTERNATIVE ANALYSES ..... 177
Summary of experimental results ..... 178
Does predicting scores make winner predictions worse? ..... 185
Does predicting other event details make predictions worse? ..... 187
Are predictions worse because people pay less attention? ..... 189
Are predictions worse because people think harder? ..... 191
Are predictions worse because people think less globally or more locally? ..... 193
Do people who make detailed predictions use useful information less? ..... 193
Which games will show the effect? ..... 197
REFERENCES ..... 199

## LIST OF TABLES

## Tables in the main text

Table 1. Experiments 1-19: Percentage of participants making wise predictions in each prediction condition ..... 26
Table 2. Experiments 1-5, 7-11, and 13-19: How much weight participants in the Winner condition gave to win/loss records and home field advantage when making predictions ..... 41
Table 3. Experiments 1-5, 7-11, and 13-19: Differences in information weights from the Winner condition in the detailed prediction conditions ..... 43
Tables in Appendix A1: Experimental instructions and designs
Table A1 1. Experiment 1 design. ..... 60
Table A1 2. Experiment 2 design. ..... 63
Table A1 3. Experiment 3 design. ..... 67
Table A1 4. Experiment 4 design. ..... 71
Table A1 5. Experiment 5 design. ..... 75
Table A1 6. Experiment 6 design. ..... 79
Table A1 7. Experiment 7 design. ..... 82
Table A1 8. Experiment 8 design. ..... 85
Table A1 9. Experiment 9 design. ..... 89
Table A1 10. Experiment 10 design. ..... 90
Table A1 11. Experiment 11 design. ..... 90
Table A1 12. Experiment 12 design. ..... 91
Table A1 13. Experiment 13 design. ..... 94
Table A1 14. Experiment 14 design. ..... 99
Table A1 15. Experiment 15 design. ..... 100
Table A1 16. Experiment 16 design. ..... 105
Table A1 17. Experiment 17 design. ..... 111
Table A1 18. Experiment 18 design. ..... 115
Table A1 19. Experiment 19 design. ..... 116
Table A1 20. Experiment E1 design. ..... 121
Table A1 21. Experiment E2 design. ..... 124
Table A1 22. Experiment E3 design. ..... 124
Table A1 23. Experiment E4 design. ..... 125
Table A1 24. Experiment E5 design. ..... 130
Table A1 25. Experiment E6 design. ..... 133
Table A1 26. Experiment E7 design. ..... 139
Table A1 27. Experiment E8 design. ..... 143
Tables in Appendix A2: Additional measures
Table A2 1. Average \% of winning team probabilities that agreed with the market favorite. ..... 150
Table A2 2. Average \% of winning team probabilities that were consistent with the participants' own predictions. ..... 150
Table A2 3. Means and standard deviations of "global" and "local" considerations. ..... 153
Table A2 4. Correlations of "global" and "local" considerations with winning team prediction quality. ..... 154
Table A2 5. Means and standard deviations of "this time" and "usually" considerations. ..... 156
Table A2 6. Correlations of "this time" and "usually" considerations with winning team prediction quality. ..... 156
Table A2 7. Means and standard deviations of confidence and motivation. ..... 158
Table A2 8. Correlations of confidence and motivation with winning team prediction quality. ..... 158
Table A2 9. Means and standard deviations of careful and effortful thinking. ..... 160
Table A2 10. Correlations of careful and effortful thinking with winning team prediction quality. ..... 161
Table A2 11. Means and standard deviations of outcome variability. ..... 162
Table A2 12. Correlations of outcome variability with winning team prediction quality. ..... 162
Table A2 13. Means and standard deviations of outcome usefulness for predicting the winning team ..... 163
Table A2 14. Correlations of outcome usefulness for predicting the winning team with winning team predictions quality. ..... 164
Table A2 15. Means and standard deviations of liking ratings by country. ..... 165
Table A2 16. Effect of liking on winning team prediction quality ..... 166
Table A2 17. Means and standard deviations of self-reported sports knowledge and following. ..... 168
Table A2 18. Correlations of self-reported sports knowledge and following with winning team prediction quality. ..... 168
Table A2 19. Means and standard deviations of measured knowledge scores ..... 171
Table A2 20. Correlations of measured sports knowledge with winning team prediction quality. ..... 172
Table A2 21. Summary of responses to question difficulty ..... 175

## Tables in Appendix A3: Alternative analyses

$$
\begin{aligned}
& \text { Table A3 1. Game-Level Analyses. Experiments 1-19: The average percentage of } \\
& \text { participants making wise predictions in each prediction condition for each } \\
& \text { experiment............................................................................................................... } 179
\end{aligned}
$$

Table A3 2. Participant-Level Analyses. Experiments 1-19: The average percentage of
wise predictions made by participants in each prediction condition for each
experiment. ..... 181

Table A3 3. Prediction-Level Analyses. Experiments 1-19: The percentage of wise
predictions made in each prediction condition for each experiment. ..... 183

Table A3 4. Game-Level Analyses. Experiments 2-19: The average percentage of
participants making wise predictions in the Winner and Score + Winner conditions.

Table A3 5. Participant-Level Analyses. Experiments 2-19: The average percentage of
wise predictions made by participants in the Winner and Score + Winner conditions.

Table A3 6. Prediction-Level Analyses. Experiments 2-19: The percentage of wise predictions made in the Winner and Score + Winner conditions

Table A3 7. Game-Level Analyses. Experiments 4, 5, 8, 10, 15, and 16: The average
percentage of participants making wise predictions in the Winner, Score + Winner,
and Relevant + Winner conditions............................................................... 187
Table A3 8. Participant-Level Analyses. Experiments 4, 5, 8, 10, 15, and 16: The average percentage of wise predictions made by participants in the Winner, Score + Winner, and Relevant + Winner conditions.

Table A3 9. Prediction-Level Analyses. Experiments 4, 5, 8, 10, 15, and 16: The percentage of wise predictions made in the Winner, Score + Winner, and Relevant + Winner conditions. 188

Table A3 10. Game-Level Analyses. Experiments 5 and 15-18: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Irrelevant + Winner conditions. 189

Table A3 11. Participant-Level Analyses. Experiments 5 and 15-18: The average
percentage of wise predictions made by participants in the Winner, Score + Winner,
and Irrelevant + Winner conditions. .................................................................... 190
Table A3 12. Prediction-Level Analyses. Experiments 5 and 15-18: The percentage of wise predictions made in the Winner, Score + Winner, and Irrelevant + Winner conditions.

Table A3 13. Game-Level Analyses. Experiments 13, 14, and 19: The average percentage of participants making wise predictions in the Winner and Score + Winner conditions for low- versus high-incentives. 191

Table A3 14. Participant-Level Analyses. Experiments 13, 14, and 19: The average percentage of wise predictions made by participants in the Winner and Score + Winner conditions for low- versus high-incentives.

Table A3 15. Prediction-Level Analyses. Experiments 13, 14, and 19: The percentage of wise predictions made in the Winner and Score + Winner conditions for low- versus high-incentives.

Table A3 16. Game-Level Analyses. Experiments 1-5, 7-11, and 13-19: The change in the percentage of participants in the Winner condition choosing the team to win based on win/loss records and home field advantage.

Table A3 17. Participant-Level Analyses. Experiments 1-5, 7-11, and 13-19: The average weights participants in the Winner condition gave to win/loss records and home field advantage. 194

Table A3 18. Prediction-Level Analyses. Experiments 1-5, 7-11, and 13-19: The weights
given to win/loss records and home field advantage in the Winner condition. ....... 194
Table A3 19. Game-Level Analyses. Experiments 1-5, 7-11, and 13-19: Differences from the Winner condition in the change in the percentage of participants choosing the team to win based on win/loss records and home field advantage.

Table A3 20. Participant-Level Analyses. Experiments 1-5, 7-11, and 13-19: Differences from the Winner condition in the average weights given to win/loss records and home field advantage. 195

Table A3 21. Prediction-Level Analyses. Experiments 1-5, 7-11, and 13-19: Differences from the Winner condition in the weights given to win/loss records and home field advantage.

Table A3 22. Game-Level Analyses. Experiments 1-19: The percentage of participants making wise predictions by prediction condition and which team had the better record. 197

Table A3 23. Participant-Level Analyses. Experiments 1-19: The average percentage of wise predictions made by participants by prediction condition and which team had the better record. 198

Table A3 24. Prediction-Level Analyses. Experiments 1-19: The percentage of wise predictions made by prediction condition and which team had the better record. ... 198

## LIST OF FIGURES

## Figures in the main text

Figure 1. Example of the Winner and Score + Winner conditions (Experiment 4). ..... 19
Figure 2. Experiments 1-19: The difference in the percentage of wise predictions in the Winner vs. Score conditions. ..... 28
Figure 3. Experiments $4,5,8,10,15$, and 16: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Relevant + Winner conditions. ..... 31
Figure 4. Experiments 5 and 15-18: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Irrelevant + Winner conditions ..... 34
Figure 5. Experiments 13, 14, and 19: The average percentage of participants making wise predictions in the Winner and Score + Winner conditions for low- versus high- incentives. ..... 37
Figure 6. Experiments 1-5, 7-11, and 13-19: The increase in the likelihood of predicting a team to win when it had the better record and when it was the home team for Winner vs. Score conditions (A), Winner vs. Relevant detailed conditions (B), and Winner vs. Irrelevant detailed. ..... 43
Figure 7. Experiments 1-5, 7-11, and 13-19: The percentage of participants predicting that the home team would win by prediction condition and difference in win/loss records ..... 45
Figure 8. Experiments 1-19: The percentage of participants making wise predictions by whether the home team also had the better record ..... 46
Figures in Appendix A1: Experimental instructions and designs
Figure A1 1. Example Experiment: Informed consent. ..... 51
Figure A1 2. Example Experiment: Winner condition instructions. ..... 52
Figure A1 3. Example Experiment: Winner condition predictions. ..... 52
Figure A1 4. Example Experiment: Score + Winner condition instructions. ..... 53
Figure A1 5. Example Experiment: Score + Winner predictions ..... 53
Figure A1 6. Example Experiment: Prediction strategy. ..... 54
Figure A1 7. Example Experiment: "Global" and "local" considerations. ..... 54
Figure A1 8. Example Experiment: Winner condition confidence and motivation. ..... 55
Figure A1 9. Example Experiment: Score + Winner condition confidence and motivation. ..... 55
Figure A1 10. Example Experiment: Self-reported following and knowledge. ..... 56
Figure A1 11. Example Experiment: Measured knowledge. ..... 57
Figure A1 12. Example Experiment: Gender, age, and contact. ..... 58
Figure A1 13. Example Experiment: Survey completion. ..... 58
Figure A1 14. Experiment 1: Winner condition predictions. ..... 61
Figure A1 15. Experiment 1: Score Only condition predictions. ..... 62
Figure A1 16. Experiment 2: Winner condition predictions. ..... 64
Figure A1 17. Experiment 2: Score Only condition predictions. ..... 65
Figure A1 18. Experiment 2: Score + Winner condition predictions. ..... 66
Figure A1 19. Experiment 3: Winner condition predictions. ..... 67
Figure A1 20. Experiment 3: Score Only condition predictions. ..... 68
Figure A1 21. Experiment 3: Score + Winner condition predictions (incentivized for correct winning team selection). ..... 69
Figure A1 22. Experiment 3: Score + Winner condition predictions (incentivized for correct exact final score). ..... 70
Figure A1 23. Experiment 4: Winner condition predictions. ..... 71
Figure A1 24. Experiment 4: Score + Winner condition predictions. ..... 72
Figure A1 25. Experiment 4: Hits + Winner condition instructions ..... 73
Figure A1 26. Experiment 4: Hits + Winner condition predictions. ..... 73
Figure A1 27. Experiment 4: Runs + Winner condition instructions. ..... 74
Figure A1 28. Experiment 4: Runs + Winner condition predictions. ..... 74
Figure A1 29. Experiment 5: Winner condition predictions ..... 75
Figure A1 30. Experiment 5: Score + Winner condition predictions. ..... 76
Figure A1 31. Experiment 5: Runs + Winner condition predictions. ..... 77
Figure A1 32. Experiment 5: Time + Winner instructions. ..... 78
Figure A1 33. Time + Winner condition predictions. ..... 78
Figure A1 34. Experiment 6: Winner condition predictions (with records). ..... 79
Figure A1 35. Experiment 6: Score + Winner condition predictions (with records) ..... 80
Figure A1 36. Experiment 6: Winner condition predictions (without records). ..... 81
Figure A1 37. Experiment 6: Score + Winner condition predictions (without records). . 81
Figure A1 38. Experiment 7: Winner condition predictions. ..... 82
Figure A1 39. Experiment 7: Score + Winner condition predictions. ..... 83
Figure A1 40. Experiment 7: Base rates instructions (all conditions). ..... 84
Figure A1 41. Experiment 7: Base rates (all conditions) ..... 84
Figure A1 42. Experiment 8: Winner condition predictions ..... 85
Figure A1 43. Experiment 8: Score + Winner condition predictions. ..... 86
Figure A1 44. Experiment 8: Hits + Winner condition predictions. ..... 87
Figure A1 45. Experiment 8: Runs + Winner condition predictions. ..... 88
Figure A1 46. Experiment 12: Winner condition predictions. ..... 92
Figure A1 47. Experiment 12: Score + Winner condition predictions. ..... 93
Figure A1 48. Experiment 13: Winner condition instructions (small bonus) ..... 95
Figure A1 49. Experiment 13: Winner condition predictions (small bonus) ..... 95
Figure A1 50. Experiment 13: Winner condition instructions (large bonus). ..... 96
Figure A1 51. Experiment 13: Winner condition predictions (large bonus). ..... 96
Figure A1 52. Experiment 13: Score + Winner condition instructions (small bonus). ..... 97
Figure A1 53. Experiment 13: Score + Winner condition predictions (small bonus). ..... 97
Figure A1 54. Experiment 13: Score + Winner condition instructions (large bonus). ..... 98
Figure A1 55. Experiment 13: Score + Winner condition predictions (large bonus). ..... 98
Figure A1 56. Experiment 15: Winner condition predictions ..... 101
Figure A1 57. Experiment 15: Score + Winner condition predictions. ..... 102
Figure A1 58. Experiment 15: Free Throws + Winner condition instructions. ..... 103
Figure A1 59. Experiment 15: Free Throws + Winner condition predictions ..... 103
Figure A1 60. Experiment 15: Temperature + Winner condition instructions. ..... 104
Figure A1 61. Experiment 15: Temperature + Winner condition predictions. ..... 104
Figure A1 62. Experiment 16: Winner condition predictions ..... 106
Figure A1 63. Experiment 16: Score + Winner condition predictions. ..... 107
Figure A1 64. Experiment 16: Saves + Winner condition instructions. ..... 108
Figure A1 65. Experiment 16: Saves + Winner condition predictions. ..... 108
Figure A1 66. Experiment 16: Crowd + Winner condition instructions ..... 109
Figure A1 67. Experiment 16: Crowd + Winner condition predictions. ..... 109
Figure A1 68. Experiment 16: Base rates (all conditions). ..... 110
Figure A1 69. Experiment 17: Winner condition predictions ..... 111
Figure A1 70. Experiment 17: Score + Winner condition predictions ..... 112
Figure A1 71. Experiment 17: Temperature + Winner condition predictions. ..... 112
Figure A1 72. Experiment 17: July 4th + Winner condition instructions ..... 113
Figure A1 73. Experiment 17: July 4th + Winner condition predictions. ..... 113
Figure A1 74. Experiment 17: Base rates (all conditions). ..... 114
Figure A1 75. Experiment 19: Bonus instructions. ..... 117
Figure A1 76. Experiment 19: Winner condition predictions (small bonus). ..... 117
Figure A1 77. Experiment 19: Winner condition predictions (large bonus). ..... 118
Figure A1 78. Experiment 19: Score + Winner condition predictions (small bonus). ..... 118
Figure A1 79. Experiment 19: Score + Winner condition predictions (large bonus). ..... 119
Figure A1 80. Experiment 19: Base rates (all conditions) ..... 119
Figure A1 81. Experiment E1: Winner condition predictions. ..... 121
Figure A1 82. Experiment E1: Score + Winner condition predictions. ..... 122
Figure A1 83. Experiment E1: Points + Winner condition instructions. ..... 123
Figure A1 84. Experiment E1: Points + Winner condition predictions. ..... 123
Figure A1 85. Experiment E4: Winner condition predictions (NBA). ..... 126
Figure A1 86. Experiment E4: Score + Winner condition predictions (NBA). ..... 127
Figure A1 87. Experiment E4: Winner condition predictions (NHL). ..... 128
Figure A1 88. Experiment E4: Score + Winner condition predictions (NHL). ..... 129
Figure A1 89. Experiment E5: Winner condition predictions. ..... 130
Figure A1 90. Experiment E5: Score + Winner condition predictions. ..... 131
Figure A1 91. Experiment E5: Crowd + Winner condition instructions. ..... 132
Figure A1 92. Experiment E5: Crowd + Winner condition predictions. ..... 132
Figure A1 93. Experiment E6: Winner condition predictions (no majority winner prediction). ..... 133
Figure A1 94. Experiment E6: Score + Winner condition predictions (no majority winner prediction). ..... 134
Figure A1 95. Experiment E6: Winner condition instructions (with majority winner prediction). ..... 135
Figure A1 96. Experiment E6: Winner condition predictions (with majority winner prediction). ..... 136
Figure A1 97. Experiment E6: Score + Winner condition instructions (with majority winner prediction). ..... 137
Figure A1 98. Experiment E6: Score + Winner condition predictions (with majority winner prediction). ..... 138
Figure A1 99. Experiment E7: Winner condition predictions (no majority winner prediction). ..... 139
Figure A1 100. Experiment E7: Score + Winner condition predictions (no majority winner prediction). ..... 140
Figure A1 101. Experiment E7: Winner condition predictions (with majority winner prediction). ..... 141
Figure A1 102. Experiment E7: Score + Winner condition (with majority winner prediction). ..... 142
Figure A1 103. Experiment E8: Winner condition predictions ..... 143
Figure A1 104. Experiment E8: Score + Winner condition predictions ..... 144
Figure A1 105. Experiment E8: Free Throws + Winner condition instructions. ..... 145
Figure A1 106. Experiment E8: Free Throws + Winner condition predictions ..... 145
Figure A1 107. Experiment E8: Temperature + Winner condition instructions ..... 146
Figure A1 108. Experiment E8: Temperature + Winner condition predictions. ..... 146

## Figures in Appendix A2: Additional measures

Figure A2 1. Winning team probability instructions ..... 148
Figure A2 2. Winning team probability question format (Experiments 7, 9, 11, and 14-15). ..... 149
Figure A2 3. Winning team probability question format (Experiments 16-19). ..... 149
Figure A2 4. Prediction strategy question format ..... 151
Figure A2 5. "Global" and "local" considerations question format. ..... 152
Figure A2 6. "This time" and "usually" considerations question format. ..... 155
Figure A2 7. Confidence and motivation question format. ..... 157
Figure A2 8. Thinking carefully and effortfully question format. ..... 160
Figure A2 9. Outcome variability instructions. ..... 162
Figure A2 10. Outcome variability question format. ..... 162
Figure A2 11. Outcome usefulness for predicting the winning team question format. . ..... 163
Figure A2 12. Team liking question format. ..... 164
Figure A2 13. Self-reported sports following and knowledge question format. ..... 167
Figure A2 14. Histograms of responses for self-reported sports knowledge and following. ..... 167
Figure A2 15. Measured sports knowledge instructions. ..... 170
Figure A2 16. Example of measured knowledge question format (team/division matching). ..... 170
Figure A2 17. Example of measured knowledge question format (player/team matching). ..... 170
Figure A2 18. Histogram of measured knowledge scores. ..... 171
Figure A2 19. Maximizing Tendency Scale question format. ..... 173

Figure A2 20. Gender and age question format.
Figure A2 21. Question difficulty question format (Experiment 7). 175

Figure A2 22. Question difficulty question format (Experiments 9, 11, and 14-19)...... 175
Figure A2 23. Contact for future studies sport selection. ............................................... 176
Figure A2 24. Contact for future studies e-mail entry.................................................... 176

## INTRODUCTION

Good decisions often depend on good predictions. For example, an investment decision hinges on one's forecast of the market, an admission decision hinges on one's forecast of an applicant's success, and a consumer choice hinges on one's forecast of a product's quality. Thus, understanding the factors that affect prediction quality can also help people make better decisions.

In this paper, we will demonstrate that making detailed predictions about an event can make other predictions about that event worse. For example, asking people to predict how many hits each baseball team will get in an upcoming game (a detailed prediction) before predicting which team will win the game (a more general prediction) can make their winning team predictions worse. This suggests that, counter to lay beliefs, thinking through as many details about an event as possible could do more harm than good.

## Prior research on detailed predictions

The question of whether asking more detailed prediction questions makes predictions worse was first investigated by Yoon, Suk, Goo, Lee, and Lee (2013). Specifically, they investigated whether more detailed versions of prediction questions led to less accurate predictions about general outcomes. For example, predicting the final score of a soccer game is a more detailed version of predicting the winning team because it not only requires forecasters to determine which team they think will win, but also requires them to consider additional details (e.g., whether it will be a low- or high-scoring game, how many runs the victor will win by, etc.). In their investigation, Yoon and colleagues (2013) asked participants to predict the outcomes of soccer games by either simply indicating whether they thought the home team would win, lose, or tie the game, or by entering the
exact final score of the game. ${ }^{1}$ In three experiments $(N=65, N=86, N=100$ participants; $n=16, n=18, n=16$ games), they found that winning team predictions were less accurate when participants predicted the final score than when they simply indicated a win, loss, or tie for the home team ( $p=.019, p=.037, p=.045$ ). That is, giving a more detailed version of the winning team prediction (i.e., the score) worsened winning team prediction accuracy.

Yoon and colleagues claimed that this effect occurred because predicting scores is more difficult and therefore makes people think too hard about which team will win, and that thinking harder about their predictions made their predictions worse (e.g., Dijksterhuis, Bos, Nordgren, \& van Baaren, 2006; Dijksterhuis, Bos, van der Leij, \& van Baaren, 2009). However, as we will explain in more detail later, problems with their design coupled with the fact that their samples were too small to reliably detect differences in prediction accuracy means that whether and how detailed predictions affect predictions about more general outcomes are open questions. We propose that making detailed predictions makes forecasts of more general outcomes worse because doing so brings to mind additional information that is not useful for predicting which team will win the game. Furthermore, forecasters use this relatively useless information in their predictions, meaning that they necessarily give less weight to more important information. For example, asking people to predict how many hits each baseball team will get might lead them to think about the quality of each teams' pitchers and batters, and so when they are subsequently asked to predict the winning team, information about pitchers and batters is top-of-mind and therefore used in their forecasts. Importantly, while this

[^0]information might be diagnostic in isolation, it would provide little or no diagnostic information over and above the information already contained within the teams' win/loss records given that the quality of the teams' players directly affects how many games they win. ${ }^{2}$ Therefore, we propose that detailed predictions can make predictions about other outcomes worse by causing forecasters to think about and use relatively useless information in their predictions, taking focus away from more predictively valid information (e.g., the teams' win/loss records).

This hypothesis stems from three well-established findings from the psychology of forecasting. First, people do not (and often cannot) consider all of the relevant information when making predictions. Second, the information that people do consider tends to be the information that is most accessible in memory, even if this information is not the most predictively valid information available. Finally, forecasters are largely unable to accurately weigh each piece of information according to its predictive value, meaning that they tend to give too much weight to less useful information and too little weight to more useful information in forecasts. Together, these three tendencies suggest that drawing people's attention to less important details about an event should make predictions about more general outcomes worse. Importantly, in this account people are not thinking more or less hard about their predictions. Rather, they are simply thinking about different information and using that information suboptimally.

[^1]
## Forecasters only consider a subset of relevant information

When trying to predict the outcome of a future event, people are naturally inclined to imagine ways in which that event might unfold. For example, people trying to predict how much they would enjoy going on a camping trip with friends might first imagine what activities they would do on the trip, what the weather would be like, how well everyone would get along, etc. Furthermore, people use how easy it is to imagine scenarios leading to a certain outcome (e.g., enjoying the trip) to estimate how likely that outcome is to occur, and so people rely heavily on the scenarios that they happen to imagine to make predictions about the future (Kahneman \& Tversky 1981; Tversky \& Kahneman 1973). However, people tend to only consider a handful of possible scenarios, and potentially important but unimagined scenarios are not incorporated into forecasts, leading to poor and inconsistent predictions (for reviews, see Dunning, 2007; Kahneman \& Lovallo, 1993; Lagnado \& Sloman, 2004; Lovallo \& Kahneman, 2003). Thus, this scenario-based method of forecasting is vulnerable to a variety of errors stemming from the forecaster's inability to exhaustively consider all of the relevant information for the prediction.

One example of such an error is focusing too narrowly on the target event and failing to consider other factors that, while not directly related to the event, would significantly affect outcomes. For example, when trying to predict how long it will take to complete a shopping trip, people are likely to build scenarios around things that are directly related to "getting shopping done" such as driving to the store, looking for products, waiting in line at checkout, etc., but are unlikely to consider other intervening factors that would also affect how long it takes them to shop, such as getting stuck in traffic or coming down
with a cold (Dunning, 2007). Similarly, past research has found that when people try to predict how much an event will affect their future well-being, they focus too heavily on the direct impact of the event itself but fail to consider that other events in their lives will also contribute to their overall well-being (Schkade \& Kahneman, 1998; Wilson \& Gilbert, 2005; Wilson, Wheatley, Meyers, \& Gilbert, 2000). For example, Wilson and colleagues (2000) found that college football fans overestimated how long their emotional well-being would be affected by their football team winning or losing a game because they largely did not consider how other future events would also affect their happiness (e.g., studying for exams, going to parties).

Forecasters also have difficulty considering information that is either abstract or not explicitly presented to them at the time of the prediction. For example, when estimating the likelihood that a complex system such as a car will fail, one strategy is to construct a "fault tree" by listing all the things that could go wrong, such as "dead battery" or "defective fuel system" (concrete causes), and adding a category for "all other problems" (abstract causes). Then, the forecaster estimates the probability of failure for each category to determine the total probability of failure for the entire system. However, Fischhoff, Slovic, \& Lichtenstein (1978) found that people did not appropriately transfer probabilities to the "all other problems" category when some of the concrete causes for failure were omitted from the fault tree. To illustrate with a simplified example, if comparing a tree that consists of "dead battery", "defective fuel system", and "all other problems" to a pruned tree consisting of only "dead battery" and "all other problems", the probability given to "all other problems" in the pruned tree would be considerably lower than the sum of the probabilities given to "defective fuel system" and "all other problems"
in the full tree. In fact, the participants in Fischhoff et al.'s (1978) experiments were largely insensitive to what information was missing from fault trees and therefore significantly underestimated the probability of a system failure in trees that listed fewer concrete sources of failure. Fischhoff and colleagues (1978) concluded that scenarios that are not explicitly presented to forecasters are "out of sight, out of mind", and are not incorporated into forecasts. Importantly, even though people were able to improve their predictions by generating their own list of concrete causes belonging to the "all other problems" category (Dube-Rioux \& Russo, 1988), they did not appear to do so unless explicitly prompted.

Additionally, one of the most common omissions from forecasters' predictions about the future is information about what has happened in similar situations in the past (Dunning, 2007; Kahneman \& Lovallo, 1993; Lagnado \& Sloman, 2004; Lovallo \& Kahneman, 2003). For example, imagine someone wants to predict how long it will take her to complete a work project. Rather than considering all of the factors that might influence how the project would progress (e.g., what resources she has at her disposal, the availability of her teammates, what other tasks will be competing for her attention, etc.), she could instead base her prediction on how long it has taken her to complete similar projects in the past. Buehler and Griffin (2003), however, found that when people predicted how long it would take them to complete tasks such as Christmas shopping or class assignments, they mostly reported thinking about what they expected to happen in the future and rarely reported thinking about how long it took them to complete similar tasks in the past (see also Buehler, Griffin, \& Ross, 1994). Furthermore, participants who were asked to think about their future plans made significantly less accurate predictions
than those who were not. In fact, in many if not most cases, thinking about the outcomes of similar past events generates superior predictions than imagining what might happen in the future (Dawes, 1996; Grove, Zald, Lebow, Snitz, \& Nelson, 2000; Lovallo \& Kahneman, 2003; Meehl, 1954). This is partially because the kinds of information that forecasters frequently fail to consider usually has similar effects on the likelihood of certain outcomes occurring in the future as they did on those outcomes occurring in the past. However, information about past cases is rarely used as the basis for forecasts (Dawes, 1996; Grove \& Meehl, 1996; Lagnado \& Sloman, 2004).

## Forecasters use the information that is most accessible in memory

Given that people only consider a subset of the information available to them when making predictions, it is important to understand the factors that influence what information they think about. As mentioned in the previous section, the easier it is to imagine scenarios leading to a certain outcome, the greater the perceived likelihood is that the outcome will occur. This means that predictions are primarily influenced by the information that comes most easily to mind, and so the outcomes or scenarios that are most available (or "accessible") in memory get incorporated into forecasts.

Indeed, research on this availability heuristic has frequently demonstrated that incidents that come to mind easily are judged to be more likely (Morewedge \& Todorov, 2012; Plous, 1993; Tversky \& Kahneman, 1973; Tversky \& Kahneman, 1974). There are multiple factors that contribute to what information becomes readily available in memory. The most straightforward reason is that some cue is frequently observed in conjunction with a particular outcome, and over time, people learn the association between the cue and the outcome (i.e., the cue is "ecologically valid"; Bruswick \& Kamiya, 1953). For
example, people who see dark clouds outside will predict a high chance of rain because they have observed throughout their lives that dark clouds are usually followed by rain. In such cases, these cues (e.g., dark clouds) are highly available because they are truly correlated with outcomes (e.g., rain).

However, there are other factors that affect the availability of information in memory that are not related to how likely different outcomes are, such as how vividly and how recently an event was observed. For example, the judged likelihood of being in a car accident goes up immediately after seeing an overturned car on the side of the road, and people believe that shark attacks and plane crashes are more likely than they actually are because these events are featured prominently in the news (Plous, 1993; Tversky \& Kahneman, 1973). Similarly, people erroneously estimate that there are more words that begin with the letter "r" than words that have " $r$ " as the third letter because it is easier to generate instances of the former case (e.g., red, rabbit, radio) than the latter (e.g., card, three, perfume; Tversky \& Kahneman, 1973). In another illustration of the use of nonpredictive but highly available information, Morewedge and Todorov (2012) found that people over-weighted atypical past behaviors in predictions about future behaviors because atypical behaviors are more memorable, and Bastardi and Shafir (1998) found that choosing to wait for information (e.g., waiting to find out the exact amount of debt a mortgage applicant has) made this information more cognitively available and increased its weight in judgments. Together, these findings mean that the most available information is not always the most important information, but even so it is still likely to be used in forecasts. Thus, increasing the availability of relatively unimportant information should make predictions worse.

Also, because recently formed judgments are more available in memory, judgments that people make earlier can have a downstream influence on subsequent judgments. For example, in Feldman and Lynch’s (1988) accessibility-diagnosticity framework, answers to previous questions are often used to approximate the answers to subsequent similar questions in surveys (e.g., I might not immediately know how much I value animal welfare, but I just told someone that I love dogs, so I am probably willing to donate $\$ 10$ to the Animal Welfare Society). This is because preferences and beliefs are constructed on the spot unless a pre-existing preference or belief is accessible in memory and sufficiently diagnostic for the question at hand, in which case the pre-existing cognition will be used instead. In fact, past research has identified several cases and conditions in which answers to prior questions are used to approximate answers to subsequent questions (Lynch, Marmorstein, and Weigold 1988; Menon \& Raghubir, 2003; Menon, Raghubir, \& Schwarz, 1995; Simmons, Bickart, and Lynch, 1993). Also, as with the literature on the availability heuristic, Feldman and Lynch (1988) identify that other determinants of the accessibility of information in memory include how recently it was activated, how vivid it is, cues from the environment (e.g., priming), etc. This means that not only will recent judgments be highly accessible, but the information that was used to make them will also be more accessible as well. These findings suggest that when forecasters make predictions that are similar to other recent predictions, their previous predictions and the information they considered when making them will be highly accessible in memory and therefore likely to be used in their subsequent forecasts.

## Forecasters do not weigh information properly

So far we have discussed how forecasters only use a subset of available information, and how the information they use is heavily influenced by what is most accessible in memory. Another important component of forecasting, however, is how people use the information they think about. Even if people were capable of considering all of the relevant information about a prediction, they would still have a hard time weighing that information properly. A wealth of past research has found that, in both judgments and predictions, people tend to assign suboptimal weights to the information they consider.

For example, research on the dilution effect shows that giving people information that provides little or no additional predictive power generally makes their predictions worse (Edgell et al., 1996; Nisbett, Zukier, \& Lemley, 1981; Troutman \& Shanteau, 1977; Zukier, 1982). For example, Nisbett and colleagues (1981) had graduate students in social work rate the likelihood that a hypothetical client was a child abuser based on information that was judged by other social work students to be diagnostic (e.g., "he was abused by his stepfather") and information that was judged to be nondiagnostic (e.g., "he manages a hardware store"). They found that, holding the amount of diagnostic information constant, increasing the amount of nondiagnostic information about the client decreased his judged likelihood of being an abuser. Indeed, this detrimental effect of adding nondiagnostic information to predictions has been found across a wide variety of domains, including accounting (Hackenbrack, 1992; Hoffman \& Patton, 1997; Shelton, 1999), legal decisions (Smith, Stasson, \& Hawkes, 1998), and consumer choice (Meyvis \& Janiszewski, 2002).

One explanation given to why adding nondiagnostic information makes predictions worse is that doing so makes the target seem more or less representative of various outcomes (Lichtenstein, Earl, \& Slovic, 1975; Nisbett et al., 1981; but see also Tetlock, Lerner, \& Boettger, 1996). The representativeness heuristic proposed by Tversky and Kahneman is a mental shortcut whereby people base their judgments and predictions on how similar (i.e., representative) a situation is to a particular outcome, or how similar a target is to a particular category (Kahneman \& Tversky, 1972; Kahneman \& Tversky, 1973; Tversky \& Kahneman, 1971; Tversky \& Kahneman, 1974). For example, people judge the likelihood that a man named Tom is an engineer versus a lawyer based on how well characteristics about Tom (e.g., that he likes mathematical puzzles) are representative of a stereotypical engineer versus a stereotypical lawyer (Kahneman \& Tversky, 1973). In many cases, judgments of representativeness override more objective information about the distribution of outcomes in the population (e.g., Tom was selected from a population that contains $70 \%$ lawyers).

However, past research has demonstrated that adding nondiagnostic information makes predictions worse even in cases where judgments of representativeness are unaffected or irrelevant (Dana, Dawes, \& Peterson, 2013; LaBella \& Koehler, 2004; Nelson, Bloomfield, Hales, and Libby, 2001; Simmons \& Lynch, 1991; Tetlock \& Boettger, 1989). This is because, in general, people are bad at weighing different pieces of information relative to their predictive strength (Buehler et al., 1994; Griffin \& Tversky, 1992; Grove et al., 2000; Helzer \& Dunning, 2012; Hutchinson \& Alba, 1991; Slovic, 1975; Slovic \& Lichtenstein, 1971; Soll, 1999; Weaver, Garcia, \& Schwarz, 2012; Yaniv, 2004), and give too much weight to information that has relatively low
predictive power and too little weight to information that has relatively high predictive power. For example, Hall, Ariss, and Todorov (2007) found that participants who were only given the win/loss records and half-time scores of basketball games were better at predicting winning teams than participants who were additionally given the names of the teams. This was because, while the teams' identities (and therefore their reputations) did have some predictive power in isolation, they did not provide any predictive power over and above the information that was already available (the win/loss records and half time scores). However, participants did not seem to realize this and gave the team names too much weight in their predictions. Similarly, people are largely unable to discount the weight given to information that is largely redundant with existing information (Slovic, 1966; Slovic \& Lichtenstein, 1971; Soll, 1999), and people also often give more weight to the strength of evidence (e.g., how positive a letter of recommendation is) than to the validity of evidence for predicting outcomes (e.g., how accurately recommendation letters predict future performance) (Griffin \& Tversky, 1992; Nelson et al., 2001). Given that forecasters are bad at properly integrating and weighing information when making predictions, it stands to reason that drawing forecasters' attention to less important details about the outcomes they are trying to predict would make their predictions worse.

## The present research: How do detailed predictions affect prediction quality?

While much research has shown that giving people non-diagnostic information worsens their predictions, our investigation focuses on how prediction quality might be affected by the way predictions are elicited. Specifically, we investigate whether asking people to make detailed predictions affects the quality of their predictions about other outcomes.

Although Yoon and colleague's (2013) finding that people who predicted final scores made less accurate winning team predictions than people who only selected winners seems to provide preliminary evidence that making detailed predictions can make other predictions worse, this evidence is limited. First, whereas participants in the "Winner" (non-detailed) condition were incentivized for correctly predicting the winning team, those in the "Score" (detailed) condition were incentivized for correctly predicting the exact final score. It is possible that participants in the Score condition were less motivated to think carefully about their predictions since predicting exact final scores is much harder (and therefore much less likely to pay off) than predicting winning teams. Second, because participants in the Score condition gave their predictions using a more complicated entry method (typing in each team's score) it is possible that they simply made more mistakes than those in the Winner condition. Finally, another potential problem with Yoon et al.'s design is their definition of prediction quality. In their studies, they assessed the quality of predictions by comparing the accuracy of predictions across conditions. However, accuracy in sports predictions is a very unreliable, and thus poor, measure of prediction quality; moreover, as we will later show, detecting differences in prediction accuracy would likely require hundreds of games and thousands of participants rather than the tens of games and participants recruited by Yoon and colleagues. Taken together, it is unclear whether Yoon et al.'s (2013) result would replicate using a better measure of prediction quality, and if so, whether it would emerge when the conditions have the same incentives and the same chance of making mistakes. This means that whether and how detailed predictions makes predictions about more general outcomes worse are open questions.

A few observations from past research on the psychology of forecasting suggests that making detailed predictions would have a detrimental effect on subsequent related predictions. First, people only consider a subset of relevant information when making predictions, and the information they think about depends on how available/accessible it is in their minds. This suggests that information considered when making detailed predictions will also be considered when making other similar predictions (so long as that information seems sufficiently relevant). For example, if people are first asked to predict how many hits each baseball team will get, they are likely to continue thinking about information related to how many hits each team will get when predicting which team will win the game.

Additionally, people do not weigh the information they think about properly, and tend to give too much weight to information that is relatively unimportant and therefore too little weight to information that is more important. This suggests that considering information that relatively unimportant for making the more general prediction will take weight away from more important information and make predictions worse.

To investigate the question of whether making detailed predictions actually makes predictions worse, we report the results of 19 experiments examining 415,960 predictions from 10,895 participants about the outcomes of 724 professional sporting events and find that making detailed predictions (e.g., the exact final score) does generally make winning team predictions worse as our theory suggests. Next, we will explore possible alternative explanations of this effect. We will show that detailed predictions do not worsen predictions by increasing inattention or fatigue, thinking too hard, or decreasing selfreported consideration of the teams' overall competencies. Instead, we will show that
thinking about game-relevant details before predicting the winning team causes people to give less weight to important diagnostic information, presumably because the detailed information becomes more accessible in memory. Finally, we demonstrate that the dilution of more useful information means that not all games will show this effect, and that knowing how people use the information available to them allows us to predict what kinds of events will and will not be affected by detailed predictions.

## GENERAL METHODS

In 19 experiments, we randomly assigned participants to make detailed or nondetailed predictions about upcoming sporting events and then examined whether people who made detailed predictions made worse predictions. Professional sports is a uniquely useful context for studying predictions because sporting events occur frequently, have a limited number of possible outcomes (win/lose/tie), yield timely and unambiguous results, and are easy to incentivize. It is also easy to find a large sample of participants who have some knowledge about the prediction context and are interested and motivated to predict the outcomes (i.e., sports fans).

In total, we collected 415,960 predictions about 724 sporting events. Ten experiments investigated predictions of Major League Baseball (MLB) games, five investigated predictions of National Hockey League (NHL) games, three investigated predictions of National Basketball Association (NBA) games, and one investigated predictions of Fédération Internationale de Football Association (FIFA) World Cup matches.

## Sample

Across 19 experiments, we recruited 10,896 participants from Amazon’s Mechanical Turk website for an average of 573 participants per experiment and 191 participants per experimental condition. ${ }^{3}$ Most participants were male (71.7\%) and the sample’s average age was 32 years old $(S D=10.0) .{ }^{4}$ Each study was advertised as a "survey for [sport] fans" because we wanted participants to have some knowledge about the sport they were predicting; however, they were not required to prove any knowledge about the sport to participate. Participants were paid 50 to 75 cents for completing each 10-20 minute survey and they earned an additional 5 cents for each correct winning team prediction (the few exceptions to this incentive scheme are described below). The average participant earned $\$ 1.72(S D=\$ 0.61)$ in total.

## Procedure

All experiments had similar procedures. ${ }^{5}$ In each study, participants were asked to predict the outcomes of 29-48 upcoming sports games $(M=38$ games per study, $S D=$ 6.7). We sought to have participants predict as many games as possible without making the survey too long and without asking them to predict games that were too far in the future, and so the number of games varied by the sport asked about in the experiment. For example, while there are about fifteen Major League Baseball games per day during the regular baseball season, the number of National Basketball Association and National

[^2]Hockey League games per day varies considerably (typically between two and twelve games per day). As a consequence, experiments that asked about baseball games had participants predict 39-45 games (three days' worth) while experiments that asked about basketball or hockey games had participants predict 29-32 games (four days’ worth). Participants made their predictions all at once 0-3 days before the games, with the exception of the 48 FIFA World Cup Group Stage predictions in Experiment 12, which were made 1-15 days before the games.

We manipulated how we elicited participants' predictions. In all experiments, we randomly assigned participants to make their predictions by either selecting the winning team for each game (the "Winner" condition) or by entering the final score for each game-a more detailed version of the winning team prediction (the "Score Only" or "Score + Winner" conditions). ${ }^{6}$ Experiments 1-3 included a Score Only condition in which participants predicted each game's final score without separately selecting the winning team. In this condition, we inferred participants’ winner predictions from their score predictions, as was done by Yoon and colleagues (2013). However, comparing winning team predictions between "Winner" and "Score Only" conditions is problematic because the mechanics of entering scores versus simply selecting winners could produce artifactual differences between conditions. For example, condition differences could emerge if participants are more likely to make errors when entering scores than when selecting winning teams. To remedy this, Experiments 2-19 included a "Score + Winner"

[^3]condition in which participants both entered their predicted final score for a game and then separately selected their predicted winning team. ${ }^{7}$ This allowed us to make an apples-to-apples comparison between the Winner condition's winner predictions and the Score + Winner condition's winner predictions. Figure 1 shows examples of the Winner and Score + Winner conditions.

[^4]Figure 1. Example of the Winner and Score + Winner conditions (Experiment 4).


All predictions were incentivized. Experiments 1-3 followed Yoon et al.’s (2013) incentive scheme of paying a smaller amount (5 cents) for each correct winning team
prediction and a larger amount (40 cents) for each correct final score prediction. ${ }^{8}$ In Experiment 3, we manipulated whether participants in the Score + Winner condition earned 5 cents for each correct winning team prediction or 40 cents for each correct final score prediction. Note that incentivizing different outcomes (exact final scores vs. winning teams) using different amounts (5 vs. 40 cents) across different conditions introduces potential confounds when comparing the quality of winning team predictions between conditions. For this reason, Experiments 4-19 held incentives constant across all conditions (5 cents for each correct winning team prediction, with the exception of three experiments described subsequently, in which the incentives were larger for half of the games). In these studies, we paid all participants in all conditions for correctly predicting the winning teams; they were never incentivized for accurately predicting any additional details (e.g., scores, hits, etc.).

As previously mentioned, the 19 experiments investigated different sports: baseball, basketball, hockey, and soccer. But they also differed in more meaningful ways. Most importantly, although all experiments included Winner and Score conditions, many experiments also included conditions in which participants predicted other details about the game in addition to predicting the winning team. We included these other conditions because we were interested in whether making any detailed predictions about the game would make winning team predictions worse. In some conditions, these detailed predictions were relevant to the game; for example, in three of the baseball experiments (Experiments 4, 8, and 10), participants in the Hits + Winner condition predicted both the

[^5]number of hits each baseball team would accumulate and which team would win the game. In other conditions, the predicted details were irrelevant to the game; for example, in one of the hockey experiments (Experiment 16), participants in the Crowd + Winner condition predicted what percentage of the crowd at the game would be American citizens as well as the winning team. Our theory suggests that making any detailed predictions that are relevant to the game should make winning team predictions worse to the extent that they prompt forecasters to think about less useful information that gets incorporated into their subsequent winning team predictions. All detailed predictions were classified as either "relevant" or "irrelevant" a priori, and the conditions and predictions in each experiment are described in greater detail in the Results section and in the note to Table 1.

Experiments also varied in the information given to participants about each game. For all games, participants were told the date, start time, location, the visiting and home teams, ${ }^{9}$ and, in the baseball experiments, the names of the starting pitchers. ${ }^{10}$ In addition, although most experiments also gave participants each team's win/loss records (i.e., the numbers of games won and lost so far that season), Experiments 6 and 12 did not give

[^6]any record information for the teams. ${ }^{11}$ This allowed us to examine whether providing this information was necessary to produce the hypothesized effect.

## Prediction Quality

We were interested in investigating whether making detailed predictions affects the quality of people's predictions. For this reason, in all experiments we compare participants’ predictions to well-calibrated sports betting markets, which publish odds set by professional oddsmakers. For each game, oddsmakers use attributes such as team records, home field advantage, and other information to determine the probability that each team will win, and those probabilities are reflected in the odds that they set for each game. These odds provide accurate probability estimates: For example, the home team won $57.1 \%$ of the games when the odds indicated that they had a $55-60 \%$ chance of winning in our data. Importantly, these odds indicate which team is the "likely winner," meaning that it is more likely to win the game than the opposing team. In our analyses, predicting that the likely winner will win the game is considered a "wise" prediction. ${ }^{12}$ In all experiments, we assess the wisdom of participants' winning team predictions, regardless of prediction condition and what other detailed predictions they made.

[^7]Of course, another possible measure of prediction quality is accuracy. And, indeed, this was the measure used by Yoon and colleagues (2013). However, accuracy is not an appropriate measure of prediction quality in this context, as a wise prediction is one that predicts that the most probable outcome will occur, regardless of whether that outcome actually occurs. To illustrate, consider a biased coin that comes up heads $60 \%$ of the time. A noisy and imprecise measure of prediction quality is whether someone's prediction about the outcome of the coin flip was accurate. A much better measure of prediction quality is whether they predicted "heads". Similarly, sports outcomes are extremely noisy—across the 724 games in our data, the likely winner won only $57.7 \%$ of the timeand so it would take many thousands of predictions about hundreds of games to detect whether one condition makes more accurate predictions than another. ${ }^{13}$ In this case, a better measure of prediction quality is whether people predicted the teams that were most likely to win as opposed to the teams that actually won. ${ }^{14}$

## Additional Measures

Winning Team Probabilities. In experiments 7, 9, 11, and 14-19, immediately after predicting the outcomes of all games, participants indicated how likely each team would be to win the game. Specifically, we asked participants to revisit each game and imagine that the two teams played that exact same game 100 times, meaning that each of those 100 games would have the same time, location, players, injuries, etc. as the actual game (see Appendix A2 for the exact wording of these instructions). Participants then reported

[^8]how many games out of 100 they thought each team would win, and we converted these responses into probabilities of each team winning the actual game. These self-reported probabilities did not end up providing consistent evidence of participants’ prediction processes, so we report their results in Appendix A2.

Reliance on Global vs. Local Information. In Experiments 1-16, we also collected Yoon and colleagues' (2013) measures of self-reported reliance on "global" and "local" information for making predictions, where "global information" refers to holistic, overall impressions of the teams, and "local information" refers to more nuanced information about specific aspects of the teams (e.g., their offensive capabilities). After participants made their predictions, we asked participants to "Please indicate the degree to which you considered each of these factors while making your predictions" and had them rate how much they considered three global factors ("overall impression of the two teams", "overall performance of the two teams in the past years", "overall performance of the two teams in recent years") and three local factors ("the teams' offensive abilities", "the teams’ defensive abilities", "the teams' coaching abilities") on a scale from 1 ("not considered at all") to 7 ("seriously considered"). For experiments examining predictions about baseball games, we included an additional local factor ("the teams' pitching abilities") that was not included in, nor relevant for, Yoon et al.'s (2013) investigation of soccer matches. All global and local considerations were presented in randomized order. Following Yoon et al. (2013), we averaged participants' ratings of the three global factors into a single measure of "global considerations" $(\alpha=.68)$ and the four local factors into a single measure of "local considerations" $(\alpha=.85)$ so we could attempt to replicate their mediation analysis showing that people who predicted scores made worse winning team
predictions because they considered global factors less. The results of these analyses are reported in detail in the Results section.

Sports Knowledge. We also collected information about participants' knowledge and familiarity with the sport league they made predictions about (e.g., Major League Baseball). In all 19 experiments, after participants made all of their predictions, we asked them eight questions designed to measure their knowledge and familiarity with the sport league. These questions were designed to vary in difficulty, and consisted of matching fairly well-known players to their teams, and matching teams to their division in the league. The instructions encouraged participants to leave the question blank rather than guess if they did not know the answer. The number of questions they answered correctly serves as our measure of participants' knowledge about the sport. ${ }^{15}$ Participants' knowledge scores varied considerably ( $M=4.58, S D=2.91$ ), with $12.6 \%$ of the sample answering no questions correctly and $23.7 \%$ of the sample answering all eight questions correctly.

Other Measures. Additionally, at the end of each experiment, we collected other exploratory measures (for example, prediction confidence and motivation). These additional measures ended up providing little insight into our investigation, so we report them and their results in Appendix A2. Finally, in all studies participants reported their

[^9]Mechanical Turk ID at the beginning of each experiment and their gender and age at the end of each experiment.

Table 1. Experiments 1-19: Percentage of participants making wise predictions in each
prediction condition.

| Experiment | Sport <br> League | \# of subjects | $\begin{gathered} \text { \# of } \\ \text { games } \end{gathered}$ | Winner Only | Score Only | Score <br> + Winner | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | MLB | 316 | 41 | $67.3 \%_{\text {a }}$ | $61.4 \%{ }_{\text {b }}$ | - | - | - |
| 2 | MLB | 508 | 39 | $73.3 \%_{\text {a }}$ | $67.4 \%$ b | $69.7 \%_{\text {ab }}$ | - | - |
| 3 | MLB | 635 | 45 | 63.4\% ${ }_{\text {a }}$ | $57.5 \%$ b | 60.2\% ${ }_{\text {c }}$ | - | - |
| 4 | MLB | 631 | 45 | $70.8 \%$ a | - | $66.6 \%$ b | $66.8 \%$ b | - |
| 5 | MLB | 634 | 42 | 60.1\% | - | 58.8\% | 58.8\% | 60.2\% |
| 6 | NHL | 309 | 29 | 53.5\% ${ }_{\text {a }}$ | - | 49.8\% ${ }_{\text {b }}$ | - | - |
| 7 | MLB | 337 | 45 | 56.6\% ${ }_{\text {a }}$ | - | $53.9 \%$ b | - | - |
| 8 | MLB | 625 | 44 | 56.7\% | - | 55.7\% | 55.8\% | - |
| 9 | MLB | 422 | 41 | 60.9\% | - | 59.7\% | - | - |
| 10 | MLB | 728 | 45 | 59.3\% | - | 58.4\% | 58.5\% | - |
| 11 | MLB | 525 | 42 | 63.4\% ${ }_{\text {a }}$ | - | 61.8\% ${ }_{\text {b }}$ | - | - |
| 12 | FIFA | 622 | 48 | 61.2\% ${ }_{\text {a }}$ | - | $57.8 \%$ b | - | - |
| 13 | NBA | 420 | 32 | 70.3\% | - | 70.9\% | - | - |
| 14 | NHL | 541 | 32 | 70.0\% | - | 70.8\% | - | - |
| 15 | NBA | 775 | 32 | 74.1\% | - | 72.9\% | 72.4\% | 72.6\% |
| 16 | NHL | 711 | 30 | 73.3\% | - | 72.4\% | 71.4\% | 73.0\% |
| 17 | NHL | 811 | 31 | $74.8 \%$ a | - | $70.8 \%$ b | - | $75.2 \%$ a |
| 18 | NBA | 828 | 30 | 78.4\% | - | 76.5\% | - | 78.3\% |
| 19 | NHL | 518 | 31 | 69.7\% ${ }_{\text {a }}$ | - | $65.4 \%_{\text {b }}$ | - | - |

Note. Each row shows the mean percentage of participants choosing the likely winners across games within each condition for that experiment. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979). Experiment 3 manipulated whether the Score + Winner condition was paid based on the accuracy of their score prediction or their winner prediction; the Score + Winner column collapses across these two conditions. Experiments 4, 8, and 10 included two Relevant + Winner conditions, a condition in which participants first predicted total runs and a condition in which participants first predicted each team's hits; the Relevant + Winner column collapses across these two conditions. The relevant predictions made in Experiments 5, 15, and 16 were total runs scored, free throws attempted by each team, and saves made by each team, respectively. Experiments 17 and 18 included two Irrelevant + Winner conditions, a condition in which participants predicted the temperature outside the indoor stadium at the start of the game and a condition where participants predicted the high temperature in the game city on July $4^{\text {th }} 2015$ (about 6 months after the game); the Irrelevant + Winner column collapses across these two conditions. The irrelevant predictions made in Experiments 5, 15 and 16 were total game time, temperature outside the stadium at game time, and percentage of U.S. citizens in the crowd, respectively. FIFA = Fédération Internationale de Football Association; MLB = Major League Baseball; NBA = National Basketball Association; NHL = National Hockey League.

## RESULTS

Most of our analyses analyze responses at the game level, examining for each game whether more participants made wise predictions when they were simply asked to select the winning team than when they were also (or instead) asked to make a detailed prediction. Using game as the level of analysis has the benefit of controlling for differences across games, while also allowing us to explore whether effects emerge for some games and not others. We could have instead analyzed these data at the participant level, examining the percentage of wise predictions each participant made, or at the prediction level, examining whether each individual prediction was wise or unwise. These alternative methods of analysis yield similar results and are reported in Appendix A3.

## Does predicting scores make winner predictions worse?

We expected participants' winning team predictions to be worse when they were asked to predict final scores in addition to (or instead of) selecting winning teams. As shown in Table 1 and Figure 2, this expectation was confirmed. Participants in the Winner condition ( $M=65.5 \%, S D=25.3 \%$ ) made wiser predictions than participants in the Score Only and Score + Winner conditions $(M=63.0 \%, S D=23.9 \%), t(708)=11.92$, $p<.001{ }^{16,17}$ This is a small- to medium-sized effect: $d=.45 .^{18}$ This pattern was observed in 17 of 19 experiments, it was statistically significant in 12 of them, and it was

[^10]in the expected direction for the majority of the games in our sample (68.1\%), $X^{2}(1, \mathrm{~N}=$ 724) $=92.43, p<.001$.

Figure 2. Experiments 1-19: The difference in the percentage of wise predictions in the Winner vs. Score conditions.


Note. Errors bars indicate $\pm 1$ standard error adjusted to show within-subjects variation (Cousineau, 2005; Morey, 2008). Experiment 1's result compares the Winner to the Score Only condition, and the results from Experiment 2 and 3 compare the Winner condition to the average of the Score Only and Score + Winner conditions. The results of Experiments 4-19 compare the Winner condition to the Score + Winner condition.

Further analyses revealed that the negative effect of making score predictions was robust to variations across experiments and conditions. First, we observed the effect across sports. The Winner condition significantly outperformed the Score conditions in predictions of all sports except NBA basketball, for which the effect was marginal. ${ }^{19}$ We

[^11]also observed the effect across incentive structures. In Experiment 3, we manipulated whether the Score + Winner condition was incentivized for predicting the exact final score or for predicting the winner. It did not matter: The Winner condition significantly outperformed both, $t \mathrm{~s}(44)>3.25$, $p$ 's $<.003$, and the two Score + Winner conditions did not differ from each other, $t(44)=1.07, p=.29$. Finally, in Experiments 6 and 12, we did not give participants any team records as they made their predictions. This also did not matter: Participants in the Score + Winner condition still fared worse than participants in the Winner condition, $t s>3.15, p s<.004$.

## Does predicting other event details make predictions worse?

So far, we have seen evidence that predicting final scores makes winning team predictions worse. A final score prediction is a special type of detailed prediction in that it is a more detailed version of the winning team prediction, as one's final score prediction unambiguously reveals which team they think will win the game. Therefore, people who predict final scores presumably also have to think about which team will win the game as well as other information when making their predictions. However, if predicting final scores makes predictions worse because it increases the accessibility of information that is not useful for predicting the winner, then we would expect predictions about any relevant game details to have this effect. For example, asking participants to predict how many times each hockey team's goalie will block the opposing team from scoring might cause them to think more about the capabilities of the teams' goalies, and although this information might be useful in isolation, it would probably not provide diagnostic information over and above the teams' win/loss records since a goalie's ability directly affects how often his team wins.

In six of our experiments, we included conditions in which participants made detailed predictions about a different game outcome other than the final score before predicting the winner. For example, the number of hits each baseball team accumulates (Experiments 4, 8, and 10), the number of free throws each basketball team attempts (Experiment 15), or the number of saves each hockey team's goalie makes (Experiment 16) are relevant to the game because they influence the game's outcome. Similarly, the number of total runs in a baseball game (Experiments 4, 5, 8, and 10) is a relevant prediction because the game might unfold differently depending on whether the contest is low-scoring or high-scoring. ${ }^{20}$

Across six experiments ( $n=238$ games), participants in conditions that predicted relevant details other than the score before predicting the winning teams predicted the likely winners to win less often $(M=63.1 \%, S D=25.5 \%)$ than participants in conditions that only predicted winning teams $(M=64.9 \%, S D=27.2 \%), t(231)=5.60, p<.001 .{ }^{21}$ This is a small-to-medium-sized effect: $d=.37$. We can also test whether predicting nonscore relevant details worsens winner predictions as much as predicting the score does. The difference between the Score + Winner condition ( $M=63.2 \%, S D=25.2 \%$ ) and conditions in which participants predicted non-score relevant details was not significant, $t(231)=0.35, p=.72$. These analyses are consistent with the hypothesis that predicting

[^12]any relevant detail about an event will make predictions about more general outcomes worse. Next, we will focus on evaluating different possible explanations for why making detailed predictions makes predictions worse.

Figure 3. Experiments 4, 5, 8, 10, 15, and 16: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Relevant + Winner conditions.


Note. Errors bars indicate $\pm 1$ standard error adjusted to show withinsubjects variation (Cousineau, 2005; Morey, 2008).

## Are predictions worse because people pay less attention?

So far, we have found that participants in the Winner condition, who are required to make simple categorical predictions (Winner condition), make better predictions than those in detailed conditions, who were additionally (or instead) required to make multiple, more difficult, free-entry predictions. It could be the case, then, that people who make
detailed predictions make worse winning team predictions because they are more likely to become fatigued or confused, or are more likely to stop paying attention to the prediction task than participants in the Winner condition.

To investigate this, five of our experiments included conditions in which people were asked to predict an irrelevant detail before predicting the winning team. In our experiments, an "Irrelevant" detailed prediction is one that is unrelated to how the game will unfold. Importantly, while information about irrelevant details would be more accessible after making irrelevant detailed predictions, it should not feel sufficiently relevant to inform winning team predictions, and therefore should be omitted from consideration. In Experiment 5, participants in the Time + Winner condition predicted the duration of each baseball game in hours and minutes. In Experiment 16, participants in the Crowd + Winner condition predicted the percentage of fans in attendance who would be United States citizens for each game (many NHL hockey games attract non-American fans, especially those played in or near Canada). In Experiments 15 and 18 (basketball), and in Experiment 17 (hockey) participants in the Temperature + Winner condition predicted the outdoor temperature at the location and start time of each (indoor) game. Finally, Experiments 17 and 18 included an additional irrelevant detailed prediction in which participants predicted the high temperature in the game's location on July $4^{\text {th }}, 2015$ (approximately 6 months after the game).

Like the participants who predicted scores and other relevant details about the game, participants who predicted irrelevant details made multiple, more difficult, free-entry predictions. Thus, if the fatigue or confusion that comes from making multiple detailed
predictions is driving the effect, we should find that predictions are worse among those who predicted these irrelevant details as well.

However, this was not so. Across five experiments ( $n=165$ games), those who predicted an irrelevant event detail prior to predicting the winning team fared no worse $(M=71.0 \%, S D=27.7 \%)$ than those who only predicted the winner $(M=71.2 \%, S D=$ 27.7\%), $t(161)=0.81, p=.42$. If this effect exists, we estimate it to be tiny: $d=.06$. Furthermore, this null effect can be put into context by the fact that participants who predicted irrelevant event details significantly outperformed participants who predicted final scores $(M=69.4 \%, S D=26.2 \%), t(161)=3.64, p<.001$. This is a small- to medium-sized effect: $d=.29 .{ }^{22}$

Thus, whereas predicting relevant details about the games resulted in winning team predictions that closely resembled those of the participants who predicted final scores, predicting irrelevant event details resulted in winning team predictions that closely resembled those of the participants who only predicted the winners. This suggests that the negative effect of making detailed predictions on winning team prediction quality is not due to increased levels of fatigue, confusion, or inattention, but rather because it makes them think differently about the event itself.

[^13]Figure 4. Experiments 5 and 15-18: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Irrelevant + Winner conditions.


Note. Errors bars indicate $\pm 1$ standard error adjusted to show withinsubjects variation (Cousineau, 2005; Morey, 2008)

## Are predictions worse because people think harder?

Some researchers have claimed that conscious, deliberative thinking can sometimes lead to worse choices and predictions than unconscious, intuitive thinking (e.g., Dijksterhuis et al., 2006, and Dijksterhuis et al., 2009; however, the existence of this unconscious thought advantage has been challenged in a recent meta-analysis by Nieuwenstein et al., 2015). This raises the question of whether predicting scores makes winner predictions worse because predicting scores is more difficult and therefore causes people to think harder, as Yoon et al. (2013) interpreted their results to indicate.

To test whether thinking harder makes predictions worse, we ran three experiments (13, 14, 19; $n=95$ games) in which we incentivized participants to think harder about
some games than others. Again, participants were randomly assigned to only predict winning teams (Winner condition) or to predict final scores in addition to predicting winning teams (Score + Winner condition). Additionally, within-subjects, half of the games were assigned to either be worth either a smaller bonus (5 cents) or a much larger bonus ( 25 cents in Experiments 13 and 14, and 20 cents in Experiment 19—very large bonuses for a single question in a Mechanical Turk study). Which games were worth small and large bonuses was randomized between-subjects. ${ }^{23}$

We expected participants to think harder about the games that were worth a much larger bonus than usual. After making their predictions, participants reported "Overall, how carefully did you think about each game before making your winning team predictions?" and "Overall, how much effort did you invest in thinking about and making your predictions?" separately for the low- and high-incentive games. ${ }^{24}$ Participants' ratings of thinking carefully about predictions and investing effort in making predictions were highly consistent ( $\alpha \mathrm{s}=.90$ for both the low- and high-incentive games), so we averaged the two responses into a single measure of "thinking hard" about predictions. Participants reported thinking harder about the high-incentive games than the low-

[^14]incentive games in both the Winner condition $(M=5.80, S D=1.16$ vs. $M=5.44, S D=$ $1.25, t(748)=13.36, p<.001)$ and Score + Winner condition $(M=5.85, S D=1.14$ vs. $M$ $=5.50, S D=1.22, t(685)=12.56, p<.001)$. However, participants in the Score + Winner condition did not report thinking significantly harder about either low- or high-incentive games than participants in the Winner condition (ts $<0.91$, $p s>.36$ ).

If predicting scores worsens predictions because it makes people think harder, then making people think harder should decrease the quality of their predictions, especially among those in the Winner condition, who were presumably not thinking as hard as participants in the Score + Winner condition before. This was not the case. Participants in the Winner condition did not make significantly worse predictions when the stakes were higher $(M=70.0 \%, S D=17.4 \%)$ than when they were lower $(M=70.1 \%, S D=16.8 \%)$, $t(94)=0.23, p=.82$, and participants in the Score + Winner condition made directionally wiser predictions when the stakes were higher ( $M=69.2 \%, S D=17.2 \%$ ) than when they were lower $(M=68.7 \%, S D=15.8 \%), t(94)=1.21, p=.23$. Furthermore, regardless of incentive, participants who reported thinking harder actually made a greater percentage of wise predictions, $b=0.87 \%$, $t(2889)=3.73, p<.001 .{ }^{25}{ }^{26}$ Finally, as usual, participants in the Winner condition made wiser predictions than participants in the Score + Winner condition for both low- and high-incentive games, $t s>2.25, p s<.027$. These

[^15]results suggest that thinking hard about predictions does not explain why people who make detailed predictions make worse winning team predictions.

Figure 5. Experiments 13, 14, and 19: The average percentage of participants making wise predictions in the Winner and Score + Winner conditions for low- versus highincentives.


Note. Errors bars indicate $\pm 1$ standard error adjusted to show within-subjects variation (Cousineau, 2005; Morey, 2008)

## Are predictions worse because people think less globally or more locally?

In a previous investigation of why predicting scores makes winning team predictions worse, Yoon et al. (2013) found that predicting scores made people think about global information marginally less, and this marginally mediated the relationship between
predicting scores and prediction accuracy. We did not replicate these results. Across 16 experiments (experiments $1-16, n=6,541$ participants) we found that predicting scores had no effect on self-rated reliance on global considerations, $b=-0.006, t(6525)=0.19, p$ $=.85$. We did find that that predicting the score had a very small but marginally positive effect on ratings of local considerations, $b=0.071, t(6525)=1.83, p=.067$, and that an increase in local considerations had a small but significant effect on the percentage of wise predictions made, $b=0.206 \%, t(6525)=2.53, p=.012$. However, a bootstrap mediation analysis (Preacher \& Kelley, 2011) revealed that this increase in local considerations did not even partially mediate the effect of predicting the score on winning team prediction quality, $b_{\text {indirect effect }}=1.57 \times 10^{-4}, 95 \% \mathrm{CI}=\left[-1.78 \times 10^{-5}, 4.04 \times 10^{-4}\right]$. Thus, we believe it is unlikely that detailed predictions make predictions worse because they cause people to consider global factors less or local factors more.

## Do people who make detailed predictions use useful information less?

Although our data do not reveal exactly what information participants were thinking about when making their predictions, we can examine how participants used the information that we gave them. Each experiment (with the exception of Experiments 6 and 12) gave participants at least two pieces of information: win/loss records and home team status. Both win/loss records and home field advantage are diagnostic for determining how likely a team is to win a game, and together these variables account for $66 \%$ of the variation in the probabilities set by Vegas oddsmakers for the games in our dataset.

We used logistic regressions to estimate how much a team's win/loss record and home team status influenced each participant's likelihood of predicting the team to win
the game. ${ }^{27}$ Specifically, for each participant in each experiment, we estimated the probability they would predict the team to win the game based on whether or not that team had the better record (specifically, whether they had won a greater percentage of games than their opponent) and whether or not that team was the home team. ${ }^{28}$ Additionally, we expected that people's use of win/loss records and home field advantage would depend on how competitive the game was. We defined a maximally competitive game as one in which the teams have near-identical win/loss records (indicating they are evenly matched), and a non-competitive game as one in which one team has a much better win/loss record than the other (indicating they are very unevenly matched). Our measure for the competitiveness of the game was the absolute difference between the two teams' Win Percentages, for which values ranged from 0 (the teams had identical Win Percentages) to 1 (one team had won every game and the other team had lost every game). We predicted that as games became less competitive (i.e., as the disparity between the teams' win/loss records became more extreme), people would rely more on which team had the better record and less on home field advantage for making predictions. Thus, we interacted dummies for whether the team had the better record and whether the team was the home team with how competitive the game was:

[^16]$\operatorname{logit}($ predicted the team to win $)=\beta_{0}+\beta_{1}$ better record $+\beta_{2}$ home team +
$\beta_{3}$ better record $* \mid$ record difference $\mid+\beta_{4}$ home team $* \mid$ record difference $\mid$

Once we estimated the weights given to team records and home field advantage for each participant in each experiment, we analyzed how detailed predictions affected information use by comparing these weights between participants in different prediction conditions.

Table 2 reports the marginal effects of having the better record, being the home team, and the competitiveness of the game on the likelihood of predicting a team to win for participants in the Winner condition. When games were maximally competitive (i.e., when teams had near-identical Win Percentages), ${ }^{29}$ participants in the Winner condition were $17.0 \%$ more likely on average to predict the team to win when it had the better record than when its opponent had the better record, and $13.6 \%$ more likely on average to predict the team to win when it was the home team than when it was the visiting team. We can also see how the use of this information changes as games become less competitive. As expected, we find that people relied on whether the team had the better record more and whether the team was the home team less as the disparity between the teams' records increased.

[^17]Table 2. Experiments 1-5, 7-11, and 13-19: How much weight participants in the Winner condition gave to win/loss records and home field advantage when making predictions.

| Coefficients | Winner |
| :--- | :---: |
| better record | 0.170 *** |
| home team | 0.136 *** |
| $\mid$ record difference \| | -3.302 *** |
| better record ${ }^{*} \mid$ record difference $\mid$ | $2.522^{* * *}$ |
| home team $* \mid$ record difference \| | $-1.172 * * *$ |
| Note. ${ }^{*} p<.05,{ }^{* *} p<.01, * * * p<.001$. |  |

Next we examine how participants’ use of win/loss records and home field advantage differed between prediction conditions. However, because the various types of detailed predictions spanned different experiments and therefore different sets of games, we cannot directly compare the coefficients for information use in the detailed prediction conditions to the coefficients in Table 2, because they would be estimated from different populations. For this reason, Table 3 reports the differences in information use from the Winner condition for each type of detailed prediction conditions (Score, Relevant, and Irrelevant) in the experiments that include both. By using the Winner condition as a benchmark in each set of games (i.e., games with Score conditions, games with Relevant conditions, games with Irrelevant conditions), we can see how participants’ use of team records and home field advantage changed based on the type of detailed predictions they made.

In Table 3, a positive coefficient indicates that participants who made detailed predictions gave that information more weight than participants in the Winner condition, and a negative coefficient indicates that they gave that information less weight. Figure 6
similarly displays the marginal effects of having the better record and being the home team on the likelihood of predicting the team to win separately for the Winner and detailed prediction conditions for each set of games.

Table 3 and Figure 6 reveal that participants who predicted scores gave significantly less weight to both which team had the better record and which team was playing at home than participants in the Winner condition, and participants who predicted other relevant details gave directionally less weight to which team had the better record and significantly less weight to which team was playing at home. Furthermore, these decreases in weight were greater for home field advantage than for having the better record. Interestingly, the people who predicted irrelevant details gave these two cues directionally more weight than people in the Winner condition; however, these differences were not significant. These results show that people who made relevant detailed predictions (including final scores) gave less weight to important diagnostic information than people who only predicted winning teams. This is the pattern we would expect if people who make relevant detailed predictions consider less important information while making winning team predictions.

Table 3. Experiments 1-5, 7-11, and 13-19: Differences in information weights from the Winner condition in the detailed prediction conditions.

| Coefficients | Score | Relevant | Irrelevant |
| :--- | :---: | :---: | :---: |
| better record | $-0.058^{* * *}$ | -0.020 | 0.035 |
| home team | $-0.116^{* * *}$ | $-0.079 * * *$ | 0.037 |
| $\mid$ record difference \| | 0.149 | 0.237 | -0.033 |
| better record ${ }^{*} \mid$ record difference $\mid$ | $-0.677^{* *}$ | -0.513 | -0.419 |
| home team ${ }^{*} \mid$ record difference \| | $0.381^{* * *}$ | 0.036 | 0.448 |
| Number of participants in sample | 5,537 | 1,958 | 1,541 |
| Number of games in sample | 644 | 235 | 162 |

Note. * $p<.05$, ** $p<.01$, *** $p<.001$.

Figure 6. Experiments 1-5, 7-11, and 13-19: The increase in the likelihood of predicting a team to win when it had the better record and when it was the home team for Winner vs.

Score conditions (A), Winner vs. Relevant detailed conditions (B), and Winner vs. Irrelevant detailed.


Note. Errors bars indicate $\pm 1$ standard error of the interaction between information use and prediction condition (Winner vs. detailed). The coefficients for chart A only include games that had final score
prediction conditions ( $n=644$ games), the coefficients for chart B only include games that had non-score relevant prediction conditions ( $n=235$ games), and the coefficients for chart C only include games that had irrelevant prediction conditions ( $n=162$ games).

## Which games will show the effect?

If detailed predictions cause people to give less weight to the teams' win/loss records and home team status, then detailed predictions might not always make predictions worse. Consider two different types of games in our sample. In some games, the home team had the better record, meaning that both of the cues that people rely on to predict the winner (win/loss records and home field advantage) indicate that the home team is more likely to win. Since making detailed predictions causes people to give less weight to both of these cues, the difference in prediction quality between the non-detailed and relevantdetailed conditions should be most pronounced for these games. The right-hand side of Figure 7 shows this to be the case: When the home team had the better record, people who predicted relevant details about the game were considerably less likely to predict the home team to win.

Now consider a different type of game: one for which the visiting team had the better record. For these games, the cues that people rely on to predict the winner point in opposite directions: choosing the team with the better record would result in predicting the visiting team, whereas choosing the team that with the home field advantage would result in predicting the team with the inferior record. Since making detailed predictions causes people to be less likely to predict the team with the better record but more likely to predict the visiting team (since they largely ignore home field advantage), the difference between the non-detailed and detailed conditions might not emerge for these games. The
left-hand side of Figure 7 shows this to be the case: When the visiting team had the better record, people who predicted relevant game details did not predict any differently those whose who only predicted winners.

Figure 7. Experiments 1-5, 7-11, and 13-19: The percentage of participants predicting that the home team would win by prediction condition and difference in win/loss records.


Note. Errors bars indicate $\pm 1$ standard error adjusted to show within-subjects variation (Cousineau, 2005; Morey, 2008).

Similarly, we can examine the effect that the consistency of the two cues has on the propensity to make wise predictions. The right side of Figure 8 illustrates that when the information we give them is diagnostically consistent (the home team also has the better record), people who predict relevant game details make considerably less wise
predictions than people who only predict winners ( $M=-4.8 \%, t(295)=13.64, p<.001$ ), but when the information we give them is inconsistent (the home team has the inferior record), this difference is much smaller ( $M=-0.9 \%, t(354)=3.60, p<.001)$.

Figure 8. Experiments 1-19: The percentage of participants making wise predictions by whether the home team also had the better record.


Note. Errors bars indicate $\pm 1$ standard error adjusted to show within-subjects variation (Cousineau, 2005; Morey, 2008).

Thus, by understanding the process by which detailed predictions affect prediction quality, we can predict when the effect will emerge and when it will not. In this context, it will emerge when giving less weight to both the teams' records and home field advantage will alter predictions (as when the home teams have better records) but not
when giving less weight to both of these cues will not (as when the visiting teams have better records).

This finding is important because it allows us to predict how this effect will play out in other prediction contexts. To predict when the effect will emerge, it will be important to first identify which cues are given less weight by people making detailed predictions. Then, one needs to consider how giving that cue less weight would affect the wisdom of predictions. When the available information offers conflicting diagnoses, giving all cues less weight might not actually alter the quality of those predictions, and so making detailed predictions might have no effect on the quality of other predictions. Moreover, if these cues are normally overweighted rather than underweighted, then making detailed predictions may actually improve prediction quality.

## GENERAL DISCUSSION

In this paper, we investigated whether and why making detailed predictions about an event makes predictions of other outcomes worse. We found that asking participants to make predictions about any relevant detail in sports games resulted in worse winning team predictions. We also largely ruled out the possibility that this effect could be explained by inattention or fatigue, thinking too hard, or thinking about global impressions of the teams less. Rather, our data suggest that making detailed predictions makes other similar predictions worse by influencing what information forecasters did (and did not) incorporate into their predictions. We further found that detailed predictions only negatively affected games for which there was consistent diagnostic informationnamely, games for which the home team also had the better record.

We already knew from past research that the information given to forecasters affects the quality of their predictions; however, to the best of our knowledge it was unknown whether asking forecasters to make additional similar predictions could also affect prediction quality. We believe that this happens because having people predict the details of an event makes them think about additional information that is unimportant for predicting other related outcomes; however, once this information is made accessible in memory, people are more likely to use it in their forecasts, decreasing the weight given to more important information. This suggests that a relatively simple way to improve predictions could be to take a top-down approach and start by first predicting the most general outcomes and then letting those forecasts guide predictions of more detailed outcomes. Importantly, this prescription is not intuitive, as most decision-makers feel compelled to try to think through all of the available details about an event before making their forecasts (Lovallo \& Kahneman, 2003).

Our results also reveal that a negative effect of making detailed predictions on subsequent related predictions is not universal. Because participants who predicted game details used both home team status and record advantage less, we only found a sizeable detrimental effect when both pieces of information favored the same team (i.e., the home team had the better record), in which case the effect of the reduction in the use of the two cues was compounded, and the effect was largely eliminated when each piece of information favored a different team (i.e., the visiting team had the better record), in which case the effect of the reduction of the use of the two cues partially canceled out.

In fact, if predicting additional details about an event decreases the weight placed on heavily weighted cues, then we can imagine cases where making detailed predictions
could actually make subsequent predictions better. In our experiments, participants generally had a good sense that having the better record and being the home team were predictive of winning the game, and that, for most games, having the better record is more important than being the home team. However, what about circumstances where people do not have good intuitions about what information is important? For example, someone who wants to forecast demand for a novel piece of wearable technology might believe that computing capability is more important to consumers than stylishness, when in fact the reverse might be true. In this case, having the forecaster make additional detailed predictions (e.g., which of the product's features will be most attractive?) might inadvertently make his forecasts better because doing so would reduce the weight given to an over-weighted attribute. This example emphasizes the importance of understanding how forecasters are already using the information available to them in order to understand how making additional detailed predictions would affect their other predictions.

Another point of concern moving forward is that it is not clear how people integrate conflicting information when making predictions in this context, and it is also not clear how predicting other details would affect how forecasters combine conflicting cues. Past research on how people use conflicting information is mixed, with some finding that the less important of the conflicting cues is largely ignored (Keeley \& Doherty, 1972; Mertz \& Doherty, 1974; Slovic, 1966; Yaniv, 2004), others saying that people are able to integrate the inconsistent cues in a roughly linear fashion (Lichtenstein et al., 1975; York, Doherty, \& Kamouri, 1987), and others still saying that whether the inconsistent information is disregarded or integrated varies based on other attributes, such as task
predictability (Brehmer, 1972). The fact that the differences between detailed and nondetailed prediction conditions is smaller for games with conflicting cues is consistent with both omission and linear combination models of conflicting cue use. Overall, this suggests that identifying forecasters’ intuitive weights and methods for combining conflicting information in the specific prediction context being examined would likely be a necessary precursor for predicting whether making detailed predictions would make other predictions worse.

## APPENDIX A1: EXPERIMENTAL INSTRUCTION AND DESIGNS

All experiments had similar designs. In the interest of clarity and brevity, we first present an example of a prototypical experiment. Then, we will present the details of each individual experiment in terms of the predictions that were made, the different experimental conditions, and how they differed from the prototypical design. Any questions about the instructions, stimuli, or survey designs should be directed to Theresa Kelly.

## Example Experiment

In the example below, each image represents a separate page in the survey. The images used in the example are taken from Experiment 8.

Figure A1 1. Example Experiment: Informed consent.

[^18]Figure A1 2. Example Experiment: Winner condition instructions.

In this section, you will predict the outcomes of the $\mathbf{4 4}$ Major League Baseball games scheduled to be played from
Monday May 5th through Wednesday May 7th.
Specifically, you will predict the winning team for each game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 3. Example Experiment: Winner condition predictions.

## This is the list of the 13 Major League Baseball games scheduled to be played Monday May 5th.

Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Monday May 5th.

For each game, please predict the winning team.
Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Monday May 5th, 2014 at 7:05 pm
Minnesota Twins @ Cleveland Indians

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| Minnesota Twins | 14 | 15 | Kyle Gibson |
| Cleveland Indians | 13 | 18 | Zach McAllister |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

## Who will win this game?

Minnesota Twins
-

Note. The game shown in the example above was followed by the other 12 games scheduled to be played that same day displayed one after the other on the same page. After the first page of games, the next page followed the exact same format, including the instructions at the top of the page, but for all of the games for the next day. This repeated for as many days as were included in the experiment. In this example, there were three days of games and therefore three pages of predictions.

Figure A1 4. Example Experiment: Score + Winner condition instructions.

```
In this section, you will predict the outcomes of the 44 Major League Baseball games scheduled to be played from
Monday May 5th through Wednesday May 7th.
Specifically, you will predict the final score and the winning team for each game.
You will receive a $0.05 bonus from MTurk every time you correctly predict the winner of a game.
```

Figure A1 5. Example Experiment: Score + Winner predictions.

## This is the list of the 13 Major League Baseball games scheduled to be played Monday May 5th.

Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Monday May 5th.

For each game, please predict the final score and the winning team.
Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Monday May 5th, 2014 at 7:05 pm
Minnesota Twins @ Cleveland Indians

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| Minnesota Twins | 14 | 15 | Kyle Gibson |
| Cleveland Indians | 13 | 18 | Zach McAllister |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will the final score of this game be?

How many runs will the Minnesota Twins score? $\square$
How many runs will the
Cleveland Indians score?

Who will win this game?
Minnesota Twins
Cleveland Indians

Note. Participants were restricted from entering tied scores. The game shown in the example above was followed by the other 12 games scheduled to be played that same day displayed one after the other on the same page. After the first page of games, the next page followed the exact same format, including the instructions at the top of the page, but for all of the games for the next day. This repeated for as many days as were included in the experiment. In this example, there were three days of games and therefore three pages of predictions.

Figure A1 6. Example Experiment: Prediction strategy.

Briefly describe what strategies you used to make your predictions:
$\square$
Note. Participants were required to enter a minimum of 25 characters.

Figure A1 7. Example Experiment: "Global" and "local" considerations.

| Please indicate the degree to which you considered each of these factors while making your predictions: |
| :--- |
| overall impression of the |
| two teams |
| overall performance of the |
| two teams in the past years |
| overall performance of the |
| two teams in recent years |
| the teams' offensive |
| abilities |
| the teams' defensive |
| abilities |
| the teams' pitching abilities |
| at all |
| the teams' coaching |
| abilities |

Note. The order of items was randomized between participants. The item "the teams' pitching abilities" only appeared for Major League Baseball games and was omitted for all experiments using other sports.

Figure A1 8. Example Experiment: Winner condition confidence and motivation.


Figure A1 9. Example Experiment: Score + Winner condition confidence and motivation.

| Overall, how confident are you in the score predictions that you made? | extremely |
| :--- | :--- |
| not at all |  |
| confident | confident |
| Overall, how motivated were you to correctly predict the final score for each game? |  |
| not at all |  |
| motivated | extremely |
| Overall, how confident are you in the winning team predictions that you made? | motivater |
| not at all |  |
| confident |  |
| Overall, how motivated were you to correctly predict the winning team for each game? |  |
| not at all |  |
| motivated |  |

Note. See the "additional measures" section of the Supplement for the exact wording of the confidence and motivation questions for predictions other than the winning team and final score.

Figure A1 10. Example Experiment: Self-reported following and knowledge.

| How closely do you follow MLB baseball? |  |
| :--- | :--- |
| not at all | extremely closely |
| How knowledgeable are you about MLB baseball? |  |
| not at all <br> knowledgeable | extremely <br> knowledgeable |

Figure A1 11. Example Experiment: Measured knowledge.

```
In this section, we will ask you 8 questions designed to assess your baseball knowledge.
Please answer each of the following questions to the best of your ability.
Please do NOT look up the answers while completing this section. It is important for us to have an accurate sense of
your baseball knowledge. Your bonus payment will not be affected by how you answer these questions.
If you do not know an answer, please leave it blank and move on to the next question.
In which division do the St. Louis Cardinals play?
```

$\qquad$

Which MLB team does Clayton Kershaw play for?
$\qquad$

Which MLB team does Yu Darvish play for?
$\qquad$
-

Which MLB team does Evan Longoria play for?
$\qquad$
-

Which MLB team does Andrew McCutchen play for?
$\qquad$ -

In which division do the Minnesota Twins play?
$\qquad$

Which MLB team does Homer Bailey play for?
$\qquad$
-

Which MLB team does Cliff Lee play for?
$\qquad$
-

Note. The order of questions was randomized between participants. Players and teams used varied between experiments. Participants were not required to answer any of these questions.

Figure A1 12. Example Experiment: Gender, age, and contact.

```
What is your gender?
OMale
- Female
How old are you?
\square
Would you like to participate in future studies that allow to you to win money by making predictions about sports? If so, check the boxes for the sports you are interested in and enter your email address in the box below.
\(\square\) Major League Baseball
\(\square\) National Basketball Association
\(\square\) National Football Leage
\(\square\) National Hockey League
```

(If you enter your email address then University of Pennsylvania researchers may occasionally email you links to surveys about the sports you selected. We will NEVER share your email address with anyone).

Figure A1 13. Example Experiment: Survey completion.

Thank you, you have completed the survey!
Your MTurk payment code is: FWC3871
Enter this code into the MTurk page to receive payment for this survey.

All bonuses will be paid on Thursday, May 8th
(after the outcomes of the games are known)
Please do not share the contents of this survey with others. Sharing details about the survey could ruin the research results!

## Individual Experiments

Each experiment is accompanied by a Experiment Design Table that provides information about the number and types of predictions in the experiment, the different conditions, what record information was given, and ways that the experiment deviated from the Example Experiment in the previous section.

For each experiment, we also give one example of the predictions made in each condition. The separate instructions page for a new condition is only given for first experiment that that condition appears in (e.g., the Hits + Winner condition appears in Experiments 4, 8, and 10, but we only give the instructions in the description of Experiment 4).

All the games for a single day were displayed on a single page with the exception of Experiments 13, 14, and 17-19. Descriptions of how the display format of the predictions for these experiments are explained in their respective Experiment Design Tables.

The experiments in this section do NOT repeat all of the measures collected. However, any additional measures that differed from the Example Experiment are described in the Experiment Design Table. To see what these individual measures look like, refer to the "Additional Measures" supplement.

## Experiment 1

Table A1 1. Experiment 1 design.

| Predictions | 41 Major League Baseball games played on June $4^{\text {th }}$ (15 games), June $5^{\text {th }}$ ( 15 games), and June $6^{\text {th }}$ ( 11 games) in 2013. |
| :---: | :---: |
| Run Date | June 3 ${ }^{\text {rd }}$, 2013 |
| Conditions | Winner, Score Only |
| Record information | Wins, losses, probable pitchers |
| Measures in the example that are NOT included in this experiment | - Prediction strategy <br> - Motivation and confidence <br> - Self-reported following and knowledge <br> . Which sports they are interested in being contacted about. |
| Measures NOT in the example that ARE included in this experiment | - Maximizing Tendency Scale (included for an unrelated study). |
| Other deviations from the example format | The Winner condition was incentivized 5 cents for correctly predicting the winner and the Score Only condition was incentivized 40 cents for correctly predicting the exact final score. <br> Participants were not reminded of the payoff amounts for each game (e.g. "If you correctly predict the winner of this game, you will earn $\$ 0.05$ "). |

Figure A1 14. Experiment 1: Winner condition predictions.

## This is the list of games due to be played on Tuesday, June 4th.

Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records for each team are as of Monday morning, June 3rd.
For each game, please predict which team will win.

Tuesday, June 4th, 2013 @ 7:05 pm
Cleveland Indians ( 30 wins, 26 losses) at New York Yankees ( 31 wins, 25 losses)
Probable starting pitcher for the Indians: Scott Kazmir Probable starting pitcher for the Yankees: David Phelps

Which team will win the game?
Indians
Yankees

Figure A1 15. Experiment 1: Score Only condition predictions.

This is the list of games due to be played on Tuesday, June 4th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records for each team are as of Monday morning, June 3rd.
For each game, please predict what the final score will be.

Tuesday, June 4th, 2013 @ 7:05 pm
Cleveland Indians ( 30 wins, 26 losses) at New York Yankees ( 31 wins, 25 losses)
Probable starting pitcher for the Indians: Scott Kazmir
Probable starting pitcher for the Yankees: David Phelps
What will be the final score?
How many runs will the Indians score? $\qquad$
How many runs will the Yankees score? $\square$

## Experiment 2

Table A1 2. Experiment 2 design.

| Predictions | 39 Major League Baseball games played on June $11^{\text {th }}$ (15 games), June $12^{\text {th }}$ ( 15 games), and June $13^{\text {th }}$ (9 games) in 2013. |
| :---: | :---: |
| Run Date | June 10 ${ }^{\text {th }}$, 2013 |
| Conditions | Winner, Score Only, Score + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures in the example that are NOT included in this experiment | - Prediction strategy <br> - Motivation and confidence <br> - Self-reported following and knowledge <br> - Which sports they are interested in being contacted about. |
| Measures NOT in the example that ARE included in this experiment | - Maximizing Tendency Scale (included for an unrelated experiment). |
| Other deviations from the example format | The Winner condition was incentivized 5 cents for correctly predicting the winner and the Score Only and Score + Winner conditions were incentivized 40 cents for correctly predicting the exact final score. <br> Participants were not reminded of the payoff amounts for each game. <br> The winner selection question was displayed before the score entry in the Score + Winner condition for each game. |

Figure A1 16. Experiment 2: Winner condition predictions.

This is the list of games due to be played on Tuesday, June 11th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records for each team are as of Monday morning, June 10th.
For each game, please predict who will win the game.

Tuesday, June 11th, 2013 @ 7:05 pm
Los Angeles Angels ( $\mathbf{2 7}$ wins, $\mathbf{3 6}$ losses) at Baltimore Orioles ( $\mathbf{3 5}$ wins, 28 losses)
Probable starting pitcher for the Angels: Jason Vargas Probable starting pitcher for the Orioles: Miguel Gonzalez

Who will win the game?

Angels
Orioles

Figure A1 17. Experiment 2: Score Only condition predictions.

This is the list of games due to be played on Tuesday, June 11th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records for each team are as of Monday morning, June 10th.
For each game, please predict what the final score will be.

Tuesday, June 11th, 2013 @ 7:05 pm
Los Angeles Angels ( 27 wins, 36 losses) at Baltimore Orioles ( $\mathbf{3 5}$ wins, 28 losses)
Probable starting pitcher for the Angels: Jason Vargas Probable starting pitcher for the Orioles: Miguel Gonzalez

What will be the final score?

How many runs will the Angels score?
$\square$

How many runs will the Orioles score?

Figure A1 18. Experiment 2: Score + Winner condition predictions.

This is the list of games due to be played on Tuesday, June 11th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records for each team are as of Monday morning, June 10th.
For each game, please predict who will win the game and what the final score will be.

## Tuesday, June 11th, 2013 @ 7:05 pm

Los Angeles Angels ( 27 wins, $\mathbf{3 6}$ losses) at Baltimore Orioles ( 35 wins, 28 losses)
Probable starting pitcher for the Angels: Jason Vargas Probable starting pitcher for the Orioles: Miguel Gonzalez

Who will win the game?


What will be the final score?
How many runs will the Angels score?


How many runs will the Orioles score?

Note. Participants were incentivized for correctly predicting the exact final score.

## Experiment 3

Table A1 3. Experiment 3 design.

| Predictions | 45 Major League Baseball games played on July 19 <br> games), July 20 (15 (15 games), and July 21 $1^{\text {st }}$ (15 games) in 2013. |
| :--- | :--- |$|$| Run Date | July 18 ${ }^{\text {th }}, 2013$. <br> Conditions <br> + Winner, Score Only, Score + Winner (bonus for winner), Score <br> Record information Wins, losses, probable pitchers |
| :--- | :--- |
| Measures in the <br> example that are <br> NOT included in <br> this experiment | . Self-reported following and knowledge |
| Other deviations <br> from the example <br> format | Which sports they are interested in being contacted about. |
| The Winner condition and one of the Score + Winner <br> conditions were incentivized \$0.05 for correctly predicting <br> the winner, while the Score Only condition and the other <br> Score + Winner condition were incentivized \$1.50 for <br> correctly predicting the exact final score. |  |

Figure A1 19. Experiment 3: Winner condition predictions.

```
This is the list of 15 games scheduled to be played on Friday, July 19th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.
The win-loss records and probable starting pitchers for each team are updated as of Thursday afternoon, July 18 th.
For each game, please predict the winning team.
```

Friday, July 19th, 2013 @ 7:05 pm
Los Angeles Dodgers (47 wins, 47 losses) at Washington Nationals ( 48 wins, 47 losses)
Probable starting pitcher for the Dodgers: Ricky Nolasco Probable starting pitcher for the Nationals: Stephan Strasburg

If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?
Dodgers
Nationals

Figure A1 20. Experiment 3: Score Only condition predictions.

This is the list of 15 games scheduled to be played on Friday, July 19th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday afternoon, July 18th.
For each game, please predict the final score.

Friday, July 19th, 2013 @ 7:05 pm
Los Angeles Dodgers ( 47 wins, 47 losses) at Washington Nationals ( 48 wins, 47 losses)
Probable starting pitcher for the Dodgers: Ricky Nolasco Probable starting pitcher for the Nationals: Stephan Strasburg

If you correctly predict the final score of this game, you will earn $\$ 1.50$
How many runs will the Dodgers
score?
How many runs will the
Nationals score?

Figure A1 21. Experiment 3: Score + Winner condition predictions (incentivized for correct winning team selection).

This is the list of $\mathbf{1 5}$ games scheduled to be played on Friday, July 19th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday afternoon, July 18th.
For each game, please predict the final score and the winning team.

Friday, July 19th, 2013 @ 7:05 pm
Los Angeles Dodgers (47 wins, 47 losses) at Washington Nationals ( 48 wins, 47 losses)
Probable starting pitcher for the Dodgers: Ricky Nolasco Probable starting pitcher for the Nationals: Stephan Strasburg

If you correctly predict the winner of this game, you will earn $\$ 0.05$

How many runs will the Dodgers
score?
How many runs will the
Nationals score?
Nationals score?

Who will win the game?
Dodgers Nationals
○
-

Figure A1 22. Experiment 3: Score + Winner condition predictions (incentivized for correct exact final score).

This is the list of $\mathbf{1 5}$ games scheduled to be played on Friday, July 19th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday afternoon, July 18th.
For each game, please predict the final score and the winning team.

Friday, July 19th, 2013 @ 7:05 pm
Los Angeles Dodgers (47 wins, 47 losses) at Washington Nationals ( 48 wins, 47 losses)
Probable starting pitcher for the Dodgers: Ricky Nolasco Probable starting pitcher for the Nationals: Stephan Strasburg

If you correctly predict the final score of this game, you will earn $\$ 1.50$

How many runs will the Dodgers
score?
How many runs will the
$\square$

Who will win the game?

## Experiment 4

Table A1 4. Experiment 4 design.

| Predictions | 45 Major League Baseball games played on July $26^{\text {th }}$ (15 games), July $27^{\text {th }}$ ( 15 games), and July $28^{\text {th }}$ ( 15 games) in 2013. |
| :---: | :---: |
| Run Date | July $26^{\text {th }}$, 2013. |
| Conditions | Winner, Score + Winner, Hits + Winner, Runs + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures in the example that are NOT included in this experiment | - Self-reported following and knowledge, <br> Which sports they are interested in being contacted about. |

Figure A1 23. Experiment 4: Winner condition predictions.

This is the list of 15 games scheduled to be played on Friday, July 26th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday night, July 25th.
For each game, please predict the winning team.

Friday, July 26th, 2013 @ 7:05 pm
New York Mets ( 45 wins, 53 losses) at Washington Nationals ( 49 wins, 53 losses)
Probable starting pitcher for the Mets: Matt Harvey
Probable starting pitcher for the Nationals: Ross Ohlendorf
If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?

Mets Nationals
-

Figure A1 24. Experiment 4: Score + Winner condition predictions.

This is the list of $\mathbf{1 5}$ games scheduled to be played on Friday, July 26th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday night, July 25th.
For each game, please predict the final score and winning team.

Friday, July 26th, 2013 @ 7:05 pm

## New York Mets ( 45 wins, 53 losses) at Washington Nationals ( 49 wins, 53 losses)

Probable starting pitcher for the Mets: Matt Harvey
Probable starting pitcher for the Nationals: Ross Ohlendorf
If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many runs will the Mets
score?
How many runs will the
Nationals score?

Who will win the game?
Mets Nationals
$\bigcirc$
○

Figure A1 25. Experiment 4: Hits + Winner condition instructions.

In this survey, you will predict the outcomes of the 45 Major League Baseball games scheduled to be played from Friday, July 26th through Sunday, July 28th.

Specifically, you will predict the number of hits each team will get and winning team for each game.
In baseball statistics, a hit is credited to a batter when the batter safely reaches first base after hitting the ball into fair territory, without the benefit of an error or a fielder's choice.

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 26. Experiment 4: Hits + Winner condition predictions.

## This is the list of $\mathbf{1 5}$ games scheduled to be played on Friday, July 26th.

Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday night, July 25th.
For each game, please predict the number of hits each team will get and the winning team.

## Friday, July 26th, 2013 @ 7:05 pm

New York Mets ( 45 wins, 53 losses) at Washington Nationals ( 49 wins, 53 losses)
Probable starting pitcher for the Mets: Matt Harvey Probable starting pitcher for the Nationals: Ross Ohlendorf

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many hits will the Mets get? $\square$
How many hits will the Nationals $\qquad$ get?

Who will win the game?
Mets
Nationals
$\bigcirc$
○

Figure A1 27. Experiment 4: Runs + Winner condition instructions.

In this survey, you will predict the outcomes of the 45 Major League Baseball games scheduled to be played from Friday, July 26th through Sunday, July 28th.

Specifically, you will predict the total number of runs and the winning team for each game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 28. Experiment 4: Runs + Winner condition predictions.

## This is the list of $\mathbf{1 5}$ games scheduled to be played on Friday, July 26th.

Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Thursday night, July 25th.
For each game, please predict the total number of runs and the winning team.

Friday, July 26th, 2013 @ 7:05 pm
New York Mets ( 45 wins, 53 losses) at Washington Nationals ( 49 wins, 53 losses)
Probable starting pitcher for the Mets: Matt Harvey Probable starting pitcher for the Nationals: Ross Ohlendorf

If you correctly predict the winner of this game, you will earn $\$ 0.05$

How many runs will be scored in
this game?

Who will win the game?
Mets Nationals
○
○

## Experiment 5

Table A1 5. Experiment 5 design.

| Predictions | 42 Major League Baseball games played on September $16^{\text {th }}(12$ <br> games $),$ September $17^{\text {th }}(15$ games $)$, and September $18^{\text {th }}(15$ <br> games) in 2013. |
| :--- | :--- |
| Run Date | September $16^{\text {th }}, 2013$ |
| Conditions | Winner, Score + Winner, Runs + Winner, Time + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures in the <br> example that are <br> NOT included in <br> this experiment | .$\quad$Self-reported following and knowledge |

Figure A1 29. Experiment 5: Winner condition predictions.

This is the list of $\mathbf{1 2}$ games scheduled to be played on Monday, September 16th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Monday morning, September 16 th.
For each game, please predict the winning team.

Monday, September 16th, 2013 @ 7:05 pm
Atlanta Braves (89 wins, 60 losses) at Washington Nationals ( 79 wins, 70 losses)
Probable starting pitcher for the Braves: Mike Minor Probable starting pitcher for the Nationals: Dan Haren

If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?
Braves Nationals
-
$\bigcirc$

Figure A1 30. Experiment 5: Score + Winner condition predictions.

This is the list of $\mathbf{1 2}$ games scheduled to be played on Monday, September 16th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Monday morning, September 16th.
For each game, please predict the final score and winning team.

Monday, September 16th, 2013 @ 7:05 pm

## Atlanta Braves ( 89 wins, 60 losses) at Washington Nationals ( $\mathbf{7 9}$ wins, 70 losses)

Probable starting pitcher for the Braves: Mike Minor Probable starting pitcher for the Nationals: Dan Haren

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many runs will the Braves
score?
How many runs will the
Nationals score?

Who will win the game?
Braves
Nationals
○
○

Figure A1 31. Experiment 5: Runs + Winner condition predictions.

This is the list of $\mathbf{1 2}$ games scheduled to be played on Monday, September 16th.
Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Monday morning, September 16th. For each game, please predict the total number of runs and winning team.

## Monday, September 16th, 2013 @ 7:05 pm

Atlanta Braves ( 89 wins, 60 losses) at Washington Nationals ( 79 wins, 70 losses)
Probable starting pitcher for the Braves: Mike Minor Probable starting pitcher for the Nationals: Dan Haren

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many runs will be scored in
this game?

Who will win the game?
Braves Nationals

○
○

Figure A1 32. Experiment 5: Time + Winner instructions.

> In this survey, you will predict the outcomes of the 42 Major League Baseball games scheduled to be played from Monday, September 16 th through Wednesday, September 19 th.
> Specifically, you will predict the total game time (in hours and minutes) and the winning team for each game.
> You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 33. Time + Winner condition predictions.

## This is the list of $\mathbf{1 2}$ games scheduled to be played on Monday, September 16th.

Each game displays the visiting team (listed first), the home team (listed second), their win-loss records, and the probable starting pitchers for that game.

The win-loss records and probable starting pitchers for each team are updated as of Monday morning, September 16th.
For each game, please predict the total game time and winning team.

Monday, September 16th, 2013 @ 7:05 pm
Atlanta Braves ( 89 wins, 60 losses) at Washington Nationals ( 79 wins, 70 losses)

## Probable starting pitcher for the Braves: Mike Minor Probable starting pitcher for the Nationals: Dan Haren

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How long will the game last?

Hours
Minutes
$\qquad$

Who will win the game?

Braves
○

## Experiment 6

Table A1 6. Experiment 6 design.

| Predictions | 29 National Hockey League games played on January $16^{\text {th }}(11$ <br> games), January $17^{\text {th }}\left(2\right.$ games), January $18^{\text {th }}(13$ games $)$, and <br> January $19^{\text {th }}(3$ games) played in 2014. |
| :--- | :--- |
| Run Date | January $16^{\text {th }}, 2014$ |
| Conditions | Predictions (Winner vs. Score + Winner) X Records (record info <br> vs. no records) |
| Record information | Wins, losses, goals scored, goals allowed |

Figure A1 34. Experiment 6: Winner condition predictions (with records).

## This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday January 16th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, January 16th.
For each game, please predict the winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, January 16th, 2014 @ 7:00 pm
Detroit Red Wings @ New York Rangers

| Team | Wins | Losses | Goals Scored |
| :---: | :---: | :---: | :---: |
| Goals Allowed |  |  |  |
| Detroit Red Wings | 20 | 26 | 118 |
| New York Rangers | 24 | 24 | 119 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?

Figure A1 35. Experiment 6: Score + Winner condition predictions (with records).

## This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday January 16th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, January 16th.
For each game, please predict the final score and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

## Thursday, January 16th, 2014 @ 7:00 pm

## Detroit Red Wings @ New York Rangers

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Detroit Red Wings | 20 | 26 | 118 | 127 |
| New York Rangers | 24 | 24 | 119 | 126 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

How many points will the Detroit Red Wings score?
How many points will the New York Rangers score?
$\square$
$\square$

Who will win the game?

Figure A1 36. Experiment 6: Winner condition predictions (without records).

This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday January 16th.
Each game displays the visiting team (listed first) and the home team (listed second).
All records are up to date as of Thursday, January 16th.
For each game, please predict the winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correct predict the winner of a game.

Thursday, January 16th, 2014 @ 7:00 pm
Detroit Red Wings @ New York Rangers
If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?

## Detroit Red Wings

$\bigcirc$

Figure A1 37. Experiment 6: Score + Winner condition predictions (without records).

This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday January 16th.
Each game displays the visiting team (listed first) and the home team (listed second).
All records are up to date as of Thursday, January 16th.
For each game, please predict the final score and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, January 16th, 2014 @ 7:00 pm
Detroit Red Wings @ New York Rangers
If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many points will the
Detroit Red Wings score?
How many points will the
New York Rangers score?

Who will win the game?
Detroit Red Wings New York Rangers
$\qquad$

## Experiment 7

Table A1 7. Experiment 7 design.

| Predictions | 45 Major League Baseball games played on May 2 <br> nd <br> May 3 (15 games), |
| :--- | :--- |
| Run Date | May 2 $^{\text {nd }}, 2014$ |
| Conditions | Winner vs. Score + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures in the <br> example that are <br> NOT included in <br> this experiment | Prediction strategy |
| Measures NOT in <br> the example that <br> ARE included in <br> this experiment | Base rates |
| Other deviations <br> from the example <br> format | How difficult was the survey to understand |

Figure A1 38. Experiment 7: Winner condition predictions.

This is the list of the 15 Major League Baseball games scheduled to be played Friday May 2nd.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Friday May 2nd.

For each game, predict the winning team.
Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Friday May 2nd, 2014 at 2:20 pm
St. Louis Cardinals @ Chicago Cubs

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| St. Louis Cardinals | 15 | 14 | Adam Wainwright |
| Chicago Cubs | 9 | 17 | Travis Wood |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Who will win this game?
St. Louis Cardinals
Chicago Cubs

Figure A1 39. Experiment 7: Score + Winner condition predictions.

This is the list of the 15 Major League Baseball games scheduled to be played Friday May 2nd.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Friday May 2nd.

For each game, please predict the final score, predict the winning team.
Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Friday May 2nd, 2014 at 2:20 pm

## St. Louis Cardinals @ Chicago Cubs

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| St. Louis Cardinals | 15 | 14 | Adam Wainwright |
| Chicago Cubs | 9 | 17 | Travis Wood |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will the final score of this game be?
How many runs will the
St. Louis Cardinals score?
How many runs will the
Chicago Cubs score?

Who will win this game?
St. Louis Cardinals
Chicago Cubs
-
$\square$
$\square$

Figure A1 40. Experiment 7: Base rates instructions (all conditions).


#### Abstract

In this section, you will once again show you the $\mathbf{4 5}$ Major League Baseball games scheduled to be played from Friday May 2nd through Sunday May 4th.

For each game, we will ask you to imagine that the two teams played that exact game 100 times. What we mean by "that exact game" is that each of the 100 times the game is played, the game would begin with the exact same starting conditions as the actual game.

For example, the location and home team, the win/loss records of each team, the pitchers, the player lineup, player injuries, etc. would all be the same at the beginning of each of the 100 games as they are at the beginning of the actual game.

For each game, we will ask you to tell us how many times you think the home team would win if that exact game were played 100 times.


Figure A1 41. Experiment 7: Base rates (all conditions).

This is the list of the 15 Major League Baseball games scheduled to be played Friday May 2nd.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Friday May 2nd.

For each game, we will ask you to imagine that the two teams played that exact game $\mathbf{1 0 0}$ times.
What we mean by "that exact game" is that each of the 100 times the game is played, the game would begin with the exact same starting conditions as the actual game.

For example, the location and home team, the win/loss records of each team, the pitchers, the player lineup, player injuries, etc. would all be the same at the beginning of each of the 100 games as they are at the beginning of the actual game.

For each game, we will ask you to tell us how many times you think the home team would win if that exact game were played 100 times.

Friday May 2nd, 2014 at 2:20 pm
St. Louis Cardinals @ Chicago Cubs

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| St. Louis Cardinals | 15 | 14 | Adam Wainwright |
| Chicago Cubs | 9 | 17 | Travis Wood |

Imagine these two teams played this exact game 100 times.
How many games (out of 100) do you think the Chicago Cubs $\square$
would win?

## Experiment 8

This experiment is a replication of Experiment 4 with changes in the display format and two additional sets of measures after the predictions.

Table A1 8. Experiment 8 design.

| Predictions | 44 Major League Baseball games played on May $5{ }^{\text {th }}$ (13 games), May $6^{\text {th }}$ ( 15 games), and May $7^{\text {th }}$ ( 16 games) in 2014. |
| :---: | :---: |
| Run Date | May 5 ${ }^{\text {th }}$, 2014 |
| Conditions | Winner, Score + Winner, Hits + Winner, Runs + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures NOT in the example that ARE included in this experiment | - Outcome variability <br> - Outcome usefulness for predicting the winner |

Figure A1 42. Experiment 8: Winner condition predictions.

```
This is the list of the 13 Major League Baseball games scheduled to be played Monday May 5th.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss
records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Monday May 5th.
For each game, please predict the winning team.
Each time you correctly predict the winning team, you will earn $0.05.
```

Monday May 5th, 2014 at 7:05 pm
Minnesota Twins @ Cleveland Indians

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| Minnesota Twins | 14 | 15 | Kyle Gibson |
| Cleveland Indians | 13 | 18 | Zach McAllister |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Who will win this game?

Figure A1 43. Experiment 8: Score + Winner condition predictions.

This is the list of the 13 Major League Baseball games scheduled to be played Monday May 5th.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Monday May 5th.

For each game, please predict the final score and the winning team.
Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Monday May 5th, 2014 at 7:05 pm
Minnesota Twins @ Cleveland Indians

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| Minnesota Twins | 14 | 15 | Kyle Gibson |
| Cleveland Indians | 13 | 18 | Zach McAllister |

If you correctly predict the winner of this game, you will earn $\$ 0.05$


Figure A1 44. Experiment 8: Hits + Winner condition predictions.

This is the list of the 13 Major League Baseball games scheduled to be played Monday May 5th.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Monday May 5th.

For each game, please predict the number of hits each team will get and the winning team.
In baseball statistics, a hit is credited to a batter when the batter safely reaches first base after hitting the ball into fair territory, without the benefit of an error or a fielder's choice.

Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Monday May 5th, 2014 at 7:05 pm
Minnesota Twins @ Cleveland Indians

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| Minnesota Twins | 14 | 15 | Kyle Gibson |
| Cleveland Indians | 13 | 18 | Zach McAllister |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

How many hits will each team get?
How many hits will the
Minnesota Twins get?
$\square$
How many hits will the Cleveland Indians get?

Who will win this game?

Figure A1 45. Experiment 8: Runs + Winner condition predictions.

This is the list of the 13 Major League Baseball games scheduled to be played Monday May 5th.
Each game displays the visiting team (listed first) and the home team (listed second). We also give you the Win/Loss records and probable pitchers for each team. All information is up to date as of 8:00am EST today, Monday May 5th.

For each game, please predict the total number of runs and the winning team.
Each time you correctly predict the winning team, you will earn $\$ 0.05$.

Monday May 5th, 2014 at 7:05 pm
Minnesota Twins @ Cleveland Indians

| Team | Wins | Losses | Probable Pitcher |
| :---: | :---: | :---: | :---: |
| Minnesota Twins | 14 | 15 | Kyle Gibson |
| Cleveland Indians | 13 | 18 | Zach McAllister |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will be the total number of runs scored by both teams?
How many runs will be scored
during this game?

## Who will win this game? <br> Who will win this game?

$\qquad$

## Experiment 9

The format of this experiment is an exact replication of Experiment 7, with the exception that the question about how difficult the survey was to understand was changed to "how confusing were the instructions".

Table A1 9. Experiment 9 design.

| Predictions | 41 Major League Baseball games played on June 3 <br> June 4 (15 games), |
| :--- | :--- |
| Run Date | June 3 ${ }^{\text {rd }}$, 2014 games), and June 5 |

## Experiment 10

The format of this experiment is an exact replication of Experiment 8.

Table A1 10. Experiment 10 design.

| Predictions | 44 Major League Baseball games played on June $6{ }^{\text {th }}$ (14 games), June $7^{\text {th }}$ ( 15 games), and June $8^{\text {th }}$ ( 15 games) in 2014. |
| :---: | :---: |
| Run Date | June $6^{\text {th }}$, 2014. |
| Conditions | Winner, Score + Winner, Hits + Winner, Runs + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures NOT in the example that ARE included in this experiment | - outcome variability <br> - outcome usefulness for predicting the winner |

## Experiment 11

The format of this experiment is an exact replication of Experiments 7 and 9.

Table A1 11. Experiment 11 design.

| Predictions | 42 Major League Baseball games played on June $9^{\text {th }}$ (12 games), June $10^{\text {th }}$ ( 15 games), and June $11^{\text {th }}(15$ games) in 2014. |
| :---: | :---: |
| Run Date | June 9 ${ }^{\text {th }}$, 2014 |
| Conditions | Winner vs. Score + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures in the example that are NOT included in this experiment | - Prediction strategy |
| Measures NOT in the example that ARE included in this experiment | - Base rates <br> - How confusing were the instructions in the survey |
| Other deviations from the example format | After making their predictions, participants in all conditions revisited each game and said how many times the home team would win if they played that exact game 100 times. |

## Experiment 12

Table A1 12. Experiment 12 design.

| Predictions | 48 Fédération Internationale de Football Association (FIFA) 2014 World Cup Group Stage matches played on June $12^{\text {th }}$ to June $15^{\text {th }}$ ( 11 games), June $16^{\text {th }}$ to June $19^{\text {th }}$ ( 12 games), June $20^{\text {th }}$ to June $23^{\text {rd }}$ ( 13 games), and June $24^{\text {th }}$ to June $26^{\text {th }}$ ( 12 games). |
| :---: | :---: |
| Run Date | June 11 ${ }^{\text {th }}$, 2014 |
| Conditions | Winner, Score + Winner |
| Record information | Wins, losses, probable pitchers |
| Measures NOT in the example that ARE included in this experiment | - Team liking ratings |
| Other deviations from the example format | - Each page spans multiple days; 4 pages of predictions total. <br> - There are no "home" and "visiting" team designations. <br> - No team records were given. <br> - Participants were permitted to enter tied scores and to choose "Draw" for the game outcome. |

Figure A1 46. Experiment 12: Winner condition predictions.

This is the list of the 11 FIFA World Cup Group stage matches scheduled to be played Thursday June 12th through Sunday June 15th.

Each match displays the teams, the date and time of the match, the group, and the location.
For each game, please predict the winning team.
Each time you correctly predict the winning team (or a draw), you will earn $\$ 0.05$.

Thursday June 12th, 2014 at $4: 00 \mathrm{pm}$ EDT
GROUP A
Arena Corinthians
São Paulo


Brazil
vs


Croatia

If you correctly predict the winner of this game (or a draw), you will earn $\$ 0.05$

Who will win this game?

Brazil
○

Draw
○

Croatia
-

Figure A1 47. Experiment 12: Score + Winner condition predictions.

This is the list of the 11 FIFA World Cup Group stage matches scheduled to be played Thursday June 12th through Sunday June 15th.

Each match displays the teams, the date and time of the match, the group, and the location.
For each game, please predict the final score and the winning team.
Each time you correctly predict the winning team (or a draw), you will earn $\$ 0.05$.

Thursday June 12th, 2014 at 4:00pm EDT GROUP A
Arena Corinthians
São Paulo


Brazil
vS
Croatia

If you correctly predict the winner of this game (or a draw), you will earn $\$ 0.05$

What will the final score of this game be?
How many goals will Brazil score?
How many goals will
Croatia score?
$\square$
$\square$

Who will win this game?

Brazil
Draw
○

## Experiment 13

Table A1 13. Experiment 13 design.

| Predictions | 32 National Basketball Association games played on November <br> 12th (8 games), November 13 <br> th <br> games), and November $15^{\text {th }}(10$ games $)$ ). November $14^{\text {th }}(10$ |
| :--- | :--- |
| Run Date | November $12^{\text {th }}, 2014$ |
| Conditions | Winner, Score + Winner |
| Record information | Wins, losses |
| Measures in the <br> example that are <br> NOT included in <br> this experiment | - Prediction strategy |
| Measures NOT in <br> the example that <br> ARE included in <br> this experiment | -- How carefully they thought about their predictions |
| How much effort they invested in making their predictions |  |

Figure A1 48. Experiment 13: Winner condition instructions (small bonus).

In this portion of the survey, you will predict the outcomes of $\mathbf{1 6}$ National Basketball Association games scheduled to be played on Wednesday, November 12th through Saturday, November 15th.

Specifically, you will predict the winning team for each game.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

To show that you understand the task, please enter the dollar amount of the bonus you will receive each time you correctly predict the winner of a game:
$\square$

Figure A1 49. Experiment 13: Winner condition predictions (small bonus).

## This is a list of 4 of the games scheduled to be played on Wednesday, November 12th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, November 12 th at 8:00am ET.

For each game, please predict the winning team.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

## Wednesday, November 12th, 2014 at 7:30 pm

Utah Jazz (3 wins, 5 losses) @ Atlanta Hawks (3 wins, 3 losses)
If you correctly predict the winner of this game, you will earn \$0.05

Who will win this game?
Utah Jazz
Atlanta Hawks

Figure A1 50. Experiment 13: Winner condition instructions (large bonus).

In this portion of the survey, you will predict the outcomes of $\mathbf{1 6}$ different National Basketball Association games scheduled to be played on Wednesday, November 12th through Saturday, November 15th. These 16 games are different games than the ones you made predictions about earlier.

Specifically, you will predict the winning team for each game.
You will receive a $\mathbf{\$ 0 . 2 5}$ bonus from MTurk every time you correctly predict the winner of a game.

To show that you understand the task, please enter the dollar amount of the bonus you will receive each time you correctly predict the winner of a game:
$\qquad$

Figure A1 51. Experiment 13: Winner condition predictions (large bonus).

## This is a list of $\mathbf{4}$ of the games scheduled to be played on Wednesday, November 12th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, November 12th at 8:00am ET.

For each game, please predict the winning team.
You will receive a $\mathbf{\$ 0 . 2 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Wednesday, November 12th, 2014 at 7:30 pm
Utah Jazz (3 wins, 5 losses) @ Atlanta Hawks (3 wins, 3 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 2 5}$

Who will win this game?

Figure A1 52. Experiment 13: Score + Winner condition instructions (small bonus).

In this portion of the survey, you will predict the outcomes of $\mathbf{1 6}$ National Basketball Association games scheduled to be played on Wednesday, November 12th through Saturday, November 15th.

Specifically, you will predict the final score and winning team for each game.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

To show that you understand the task, please enter the amount of the bonus you will receive each time you correctly predict the winner of a game:
$\square$

Figure A1 53. Experiment 13: Score + Winner condition predictions (small bonus).

```
This is a list of 4 of the games scheduled to be played on Wednesday, November 12th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be
given the number of games they have won and lost so far this season. All records are up to date as of Wednesday,
November 12th at 8:00am ET.
For each game, please predict the final score and the winning team.
You will receive a $0.05 bonus from MTurk every time you correctly predict the winner of a game.
```

Wednesday, November 12th, 2014 at 7:30 pm
Utah Jazz (3 wins, 5 losses) @ Atlanta Hawks (3 wins, 3 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What will the final score of this game be?

How many points will the Utah Jazz score?

How many points will the
Atlanta Hawks score?

## Who will win this game?

Utah Jazz
○

Atlanta Hawks
$\bigcirc$

Figure A1 54. Experiment 13: Score + Winner condition instructions (large bonus).

```
In this portion of the survey, you will predict the outcomes of \mathbf{16 different National Basketball Association}
games scheduled to be played on Wednesday, November 12th through Saturday, November 15th. These 16 games
are different games than the ones you made predictions about earlier.
Specifically, you will predict the final score and winning team for each game.
You will receive a $0.25 bonus from MTurk every time you correctly predict the winner of a game.
```

To show that you understand the task, please enter the amount of the bonus you will receive each time you correctly predict the winner of a game:

Figure A1 55. Experiment 13: Score + Winner condition predictions (large bonus).

## This is a list of $\mathbf{4}$ of the games scheduled to be played on Wednesday, November 12th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, November 12th at 8:00am ET.

For each game, please predict the final score and the winning team.
You will receive a $\mathbf{\$ 0 . 2 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Wednesday, November 12th, 2014 at 7:30 pm
Utah Jazz ( 3 wins, 5 losses) @ Atlanta Hawks ( 3 wins, 3 losses)
If you correctly predict the winner of this game, you will earn \$0.25

## What will the final score of this game be?

How many points will the Utah Jazz score?
How many points will the Atlanta Hawks score?

## Who will win this game?

Utah Jazz
-

Atlanta Hawks
-

## Experiment 14

Experiment 14 was a replication of Experiment 13 in the domain of hockey. The only difference in the design is that we added the base rates task to the end of the survey.

Table A1 14. Experiment 14 design.

| Predictions | 32 National Hockey League games played on November $20^{\text {th }}$ (12 games), November $21^{\text {st }}$ ( 4 games), November $22^{\text {nd }}$ (12 games), and November $23^{\text {rd }}$ (4 games). |
| :---: | :---: |
| Run Date | November $20{ }^{\text {th }}, 2014$ |
| Conditions | Winner, Score + Winner |
| Record information | Wins, losses (with regulation losses and overtime losses displayed separately) |
| Measures in the example that are NOT included in this experiment | Prediction strategy |
| Measures NOT in the example that ARE included in this experiment | Base rates <br> How carefully they thought about their predictions <br> How much effort they invested in making their predictions <br> How confusing were the instructions in the survey |
| Other deviations from the example format | Participants first made 16 predictions about games that were worth 5 cents for correct winning team predictions, then answered self-report measures for those 16 games, then made an additional 16 predictions about games that were worth 25 cents for correct winning team predictions, then answered self-report measures for those 16 games. Before each set of 16 predictions, participants had to pass a comprehension check indicating how much they would get paid for each correct prediction. <br> Which games were worth the 5 cent bonus and 25 cent bonus was randomized between subjects. Half of the games on each day were assigned to be either 5 -cent or 25 -cent games, and so each page only displayed half of the days' games since 5cent games and 25 -cent games were predicted separately. Participants in all conditions revisited each game and said how many times the home team would win if they were to play that exact game 100 times. |

## Experiment 15

Table A1 15. Experiment 15 design.

| Predictions | 32 National Basketball Association games played on December $10^{\text {th }}$ (10 games), December $11^{\text {th }}$ (2 games), December $12^{\text {th }}$ ( 12 games), and December $13^{\text {th }}$ (8 games). |
| :---: | :---: |
| Run Date | December 10 ${ }^{\text {th }}$, 2014 |
| Conditions | Winner, Score + Winner, Free Throws + Winner, Temperature + Winner |
| Record information | Wins, losses |
| Measures in the example that are NOT included in this experiment | . Prediction strategy |
| Measures NOT in the example that ARE included in this experiment | - Base rates <br> . How confusing were the instructions in the survey |
| Other deviations from the example format | - Participants were paid 60 cents for completing the study. <br> - After making their predictions, participants in all conditions revisited each game and said how many times each team would win if they were to play that exact game 100 times. |

Figure A1 56. Experiment 15: Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Wednesday, December $\mathbf{1 0}$ th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, December 10th.

For each game, please predict the winning team.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Wednesday, December 10th, 2014 at 7:00 pm
Los Angeles Clippers (15 wins, 5 losses) @ Indiana Pacers (7 wins, 14 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

Who will win this game?

Los Angeles Clippers
Indiana Pacers
-
-

Figure A1 57. Experiment 15: Score + Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Wednesday, December $\mathbf{1 0 t h}$.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, December 10th.

For each game, please predict the final score and the winning team.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Wednesday, December 10th, 2014 at 7:00 pm
Los Angeles Clippers (15 wins, 5 losses) @ Indiana Pacers (7 wins, 14 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What will the final score of this game be?

How many points will the Los Angeles Clippers score?
How many points will the Indiana Pacers score? $\square$

Who will win this game?

Los Angeles Clippers Indiana Pacers
-

Figure A1 58. Experiment 15: Free Throws + Winner condition instructions.

```
In this portion of the survey, you will predict the outcomes of 32 National Basketball Association
games scheduled to be played on Wednesday, December 10th through Saturday, December 13th.
Specifically, you will predict the how many free throws each team will attempt and the winning team for each game.
You will receive a \(\mathbf{\$ 0 . 0 5}\) bonus from MTurk every time you correctly predict the winner of a game.
```

Figure A1 59. Experiment 15: Free Throws + Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Wednesday, December $\mathbf{1 0 t h}$.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, December 10th.

For each game, please predict the how many free throws each team will attempt and the winning team.

You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Wednesday, December 10th, 2014 at 7:00 pm Los Angeles Clippers (15 wins, 5 losses) @ Indiana Pacers (7 wins, 14 losses)

If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

How many free throws will each team attempt?

How many free throws will the Los Angeles Clippers attempt?
How many free throws will the Indiana Pacers attempt?

Who will win this game?

Los Angeles Clippers
Indiana Pacers

-     - 

Figure A1 60. Experiment 15: Temperature + Winner condition instructions.

```
In this portion of the survey, you will predict the outcomes of 32 National Basketball Association
games scheduled to be played on Wednesday, December 10th through Saturday, December 13th.
Specifically, you will predict the temperature outside of the arena at the start of the game and the winning team for each game.
You will receive a \(\mathbf{\$ 0 . 0 5}\) bonus from MTurk every time you correctly predict the winner of a game.
```

Figure A1 61. Experiment 15: Temperature + Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Wednesday, December 10th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. All records are up to date as of Wednesday, December 10th.

For each game, please predict the temperature outside of the arena at the start of the game and the winning team.

You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Wednesday, December 10th, 2014 at 7:00 pm
Los Angeles Clippers (15 wins, 5 losses) @ Indiana Pacers (7 wins, 14 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What will be the temperature outside of the arena at the start of the game?

Outdoor temperature (in Fahrenheit) $\square$

Who will win this game?

Los Angeles Clippers
Indiana Pacers
-

## Experiment 16

Table A1 16. Experiment 16 design.

| Predictions | 30 National Hockey League games played on December $11^{\text {th }}$ (10 games), December $12^{\text {th }}$ ( 4 games), December $13^{\text {th }}$ ( 13 games), and December $14^{\text {th }}$ (3 games). |
| :---: | :---: |
| Run Date | December 11 ${ }^{\text {th }}$, 2014 |
| Conditions | Winner, Score + Winner, Saves + Winner, Temperature + Winner |
| Record information | Wins, losses |
| Measures in the example that are NOT included in this experiment | Prediction strategy |
| Measures NOT in the example that ARE included in this experiment | - Base rates <br> - How confusing were the instructions in the survey |
| Other deviations from the example format | - Participants were paid 75 cents for completing the study. After making their predictions, participants in all conditions revisited each game and said how many times each team would win if they were to play that exact game 100 times. |

Figure A1 62. Experiment 16: Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Thursday, December 11th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. The number of losses given includes both regulation losses and overtime losses. All records are up to date as of Thursday, December 11th.

For each game, please predict the winning team.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

## Thursday, December 11th, 2014 at 7:00 pm

Calgary Flames (17 wins, 12 losses) @ Buffalo Sabres (10 wins, 18 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

Who will win this game?

Calgary Flames
-

Buffalo Sabres
-

Figure A1 63. Experiment 16: Score + Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Thursday, December 11th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. The number of losses given includes both regulation losses and overtime losses. All records are up to date as of Thursday, December 11th.

For each game, please predict the final score and the winning team.
You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, December 11th, 2014 at 7:00 pm
Calgary Flames (17 wins, 12 losses) @ Buffalo Sabres (10 wins, 18 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What will the final score of this game be?

How many points will the Calgary Flames score?
How many points will the Buffalo Sabres score? $\square$

Who will win this game?

Calgary Flames
-
Buffalo Sabres
-

Figure A1 64. Experiment 16: Saves + Winner condition instructions.

> In this portion of the survey, you will predict the outcomes of the $\mathbf{3 0}$ National Hockey League games scheduled to be played on Thursday, December 11 th through Sunday, December 14th.
> Specifically, you will predict the number of saves each team will get and the winning team for each game.
> In ice hockey, a save occurs when the puck is shot towards the net but is blocked by the goaltender. In other words, a team gets a save when their goalie stops the puck from entering their net, preventing the opposing team from scoring a goal.
> You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 65. Experiment 16: Saves + Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Thursday, December 11th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. The number of losses given includes both regulation losses and overtime losses. All records are up to date as of Thursday, December 11th.

For each game, please predict the number of saves each team will get and the winning team.
In ice hockey, a save occurs when the puck is shot towards the net but is blocked by the goaltender. In other words, a team gets a save when their goalie stops the puck from entering their net, preventing the opposing team from scoring a goal.

You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, December 11th, 2014 at 7:00 pm
Calgary Flames (17 wins, 12 losses) @ Buffalo Sabres (10 wins, 18 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

## How many saves will each team get?

How many saves will the Calgary Flames get?
How many saves will the Buffalo Sabres get? $\square$

## Who will win this game?

## Calgary Flames

- 

```
Buffalo Sabres
    O
```

Figure A1 66. Experiment 16: Crowd + Winner condition instructions.

In this portion of the survey, you will predict the outcomes of the $\mathbf{3 0}$ National Hockey League games scheduled to be played on Thursday, December 11th through Sunday, December 14th.

Specifically, you will predict the \% of U.S. citizens in the crowd at the arena and the winning team for each game.

You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 67. Experiment 16: Crowd + Winner condition predictions.

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Thursday, December 11th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. The number of losses given includes both regulation losses and overtime losses. All records are up to date as of Thursday, December 11th.

For each game, please predict the $\%$ of $\mathbf{U} . S$. citizens in the crowd at the arena and the winning team.

You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, December 11th, 2014 at 7:00 pm
Calgary Flames (17 wins, 12 losses) @ Buffalo Sabres (10 wins, 18 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What percentage of the crowd at the arena will be U.S. citizens?
\% of U.S. citizens in the crowd (Enter a number between 0 and 100) $\square$

Who will win this game?
Calgary Flames
Buffalo Sabres
-
-

Figure A1 68. Experiment 16: Base rates (all conditions).

This is a list of the $\mathbf{1 0}$ games scheduled to be played on Thursday, December 11th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given the number of games they have won and lost so far this season. The number of losses given includes both regulation losses and overtime losses. All records are up to date as of Thursday, December 11th.

For each game, we will ask you to imagine that the two teams played that exact game $\mathbf{1 0 0}$ times.

What we mean by "that exact game" is that each of the 100 times the game is played, the game would begin with the exact same starting conditions as the actual game.

For example, the location and home team, the win/loss records of each team, the player lineup, player injuries, etc. would all be the same at the beginning of each of the 100 games as they are at the beqinning of the actual game.

For each game, we will ask you to tell us how many times you think each team would win if that exact game were played 100 times.

Thursday, December 11th, 2014 at 7:00 pm
Calgary Flames (17 wins, 12 losses) @ Buffalo Sabres (10 wins, 18 losses)

Imagine these two teams played this exact game $\mathbf{1 0 0}$ times.
$\square$ How many games (out of 100) would the Calgary Flames win?
0
How many games (out of 100) would the Buffalo Sabres win?

## Experiment 17

Table A1 17. Experiment 17 design.

| Predictions | 31 National Hockey League games played on January $17{ }^{\text {th }}(12$ <br> games), January $18^{\text {th }}$ (4 games), January $19^{\text {th }}$ (7 games), and <br> January 20 $0^{\text {th }}$ (8 games). |
| :--- | :--- |
| Run Date | January $17^{\text {th }}, 2015$ <br> Conditions |
| Winner, Score + Winner, Temperature + Winner, July 4 ${ }^{\text {th }}+$ |  |
| Winner |  |

Figure A1 69. Experiment 17: Winner condition predictions.

| 1 of 31. |  |
| :---: | :---: |
| Saturday, January 17th, 2015 at 7:00 pm |  |
| If you correctly predict the winner of this game, you will earn \$0.05 |  |
| Who will win this game? |  |
| Philadelphia Flyers |  |

Figure A1 70. Experiment 17: Score + Winner condition predictions.

| 1 of 31. <br> Saturday, January 17th, 2015 at 7:00 pm <br> Philadelphia Flyers (17 wins, 28 losses) @ Buffalo Sabres (14 wins, 31 losses) <br> If you correctly predict the winner of this game, you will earn \$0.05 <br> What will the final score of this game be? <br> How many points will the Philadelphia Flyers score? <br> How points will the Buffalo Sabres score? <br> Philadelphia Flyers |
| :--- |

Figure A1 71. Experiment 17: Temperature + Winner condition predictions.

1 of 31.
Saturday, January 17th, 2015 at 7:00 pm
Philadelphia Flyers (17 wins, 28 losses) @ Buffalo Sabres (14 wins, 31 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What will be the temperature outside of the arena at the start of the game?

Outdoor temperature (in Fahrenheit)

Who will win this game?

Philadelphia Flyers Buffalo Sabres
-
$\square$

Figure A1 72. Experiment 17: July 4th + Winner condition instructions.

> In this portion of the survey, you will predict the outcomes of the $\mathbf{3 1}$ National Hockey League games scheduled to be played today, Saturday January 17th through Tuesday January 20th.
> For each game, we will show you the visiting team (listed first) and the home team (listed second). We will also give you the number of games each team has won and lost so far this season. Please note that the number of losses given includes both regulation losses and overtime losses. All records are up to date as of today, Saturday January 17 th.
> Your task is to make two predictions for each game:
> - First you will predict the high temperature in the city where the game will take place on July 4th, $\mathbf{2 0 1 5}$.
> - Then you will predict which team will win the game.
> You will receive a $\mathbf{\$ 0 . 0 5}$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 73. Experiment 17: July 4th + Winner condition predictions.

1 of 31.
Saturday, January 17th, 2015 at 7:00 pm
Philadelphia Flyers (17 wins, 28 losses) @ Buffalo Sabres (14 wins, 31 losses)
If you correctly predict the winner of this game, you will earn $\mathbf{\$ 0 . 0 5}$

What will be the high temperature in Buffalo, New York on July 4th, 2015?

High temperature (in Fahrenheit) $\square$
$\begin{array}{lc}\text { Who will win this game? } & \\ \text { Philadelphia Flyers } & \text { Buffalo Sabres } \\ & \end{array}$
$\begin{array}{cc}\text { Who will win this game? } & \\ \text { Philadelphia Flyers } & \text { Buffalo Sabres }\end{array}$
$\begin{array}{lc}\text { Who will win this game? } & \\ \text { Philadelphia Flyers } & \text { Buffalo Sabres } \\ & \end{array}$

Figure A1 74. Experiment 17: Base rates (all conditions).

```
1 of 31.
Saturday, January 17th, 2015 at 7:00 pm
Philadelphia Flyers (17 wins, 28 losses) @ Buffalo Sabres (14 wins, 31 losses)
Imagine these two teams played this exact game 100 times
```

$\qquad$

``` How many games (out of 100) would the Philadelphia Flyers win?
```

$\qquad$

``` How many games (out of 100) would the Buffalo Sabres win?
```


## Experiment 18

Experiment 18 is an exact replication of Experiment 17 except using NBA games instead of NHL games.

Table A1 18. Experiment 18 design.

| Predictions | 27 National Basketball Association games played on January $19^{\text {th }}$ ( 9 games), January $20^{\text {th }}$ (2 games), January $21^{\text {st }}$ (12 games), and January $22^{\text {nd }}$ (4 games). |
| :---: | :---: |
| Run Date | January 19 ${ }^{\text {th }}, 2015$ |
| Conditions | Winner, Score + Winner, Temperature + Winner, July $4^{\text {th }}+$ Winner |
| Record information | Wins, losses |
| Measures in the example that are NOT included in this experiment | Prediction strategy Global and local considerations |
| Measures NOT in the example that ARE included in this experiment | "This Time" and "Usually" considerations <br> Base rates <br> How confusing were the instructions in the survey |
| Other deviations from the example format | Participants were paid 75 cents for completing the study. Each prediction was displayed on its' own page individually instead of grouping by day. <br> After making their predictions, participants in all conditions revisited each game and said how many times each team would win if they were to play that exact game 100 times. |

## Experiment 19

Table A1 19. Experiment 19 design.

| Predictions | 31 National Hockey League games played on January $29^{\text {th }}$ (11 games), January $30^{\text {th }}$ (5 games), January $31^{\text {st }}$ (11 games), and February $1^{\text {st }}$ (4 games). |
| :---: | :---: |
| Run Date | January $19^{\text {th }}, 2015$ |
| Conditions | Winner, Score + Winner |
| Record information | Wins, losses |
| Measures in the example that are NOT included in this experiment | Prediction strategy <br> Global and local considerations |
| Measures NOT in the example that ARE included in this experiment | "This Time" and "Usually" considerations <br> Base rates <br> How confusing were the instructions in the survey |
| Other deviations from the example format | Each prediction was displayed on its' own page individually instead of grouping by day. <br> Participants were told at the beginning of the survey that some games would be worth 5-cents and some games would be worth 20-cents for correct winner predictions. Before making any predictions, they had to pass a comprehension check to show they understood the bonus scheme. <br> The 5-cent games and 20-cent games alternated and which games were worth the 5 cents and which were worth 20 cents was randomized between subjects. <br> Participants gave self-report measures (e.g., motivation and confidence) separately for the 5 -cent and 20 -cent games. After making their predictions, participants in all conditions revisited each game and said how many times each team would win if they were to play that exact game 100 times. |

Figure A1 75. Experiment 19: Bonus instructions.

```
In this survey, some of the games will be worth more than others.
For some games, you will earn a $0.05 bonus if you correctly predict which team will win the game.
For other games, you will earn a $0.20 bonus if you correctly predict which team will win the game.
We will tell you how much each game is worth before you make your prediction. To ensure you
understand the instructions, please answer the following questions:
    How much is the smaller bonus?
    How much is the larger bonus?
    \square
\(\square\)
```

Figure A1 76. Experiment 19: Winner condition predictions (small bonus).

1 of 31.
Thursday, January 29th, 2015 at 7:00 pm
Boston Bruins (25 wins, 23 losses) @ New York Islanders (32 wins, 15 losses) If you correctly predict the winner of this game,you will earn:
$\$ 0.05$

Who will win this game?

Boston Bruins
New York Islanders

Figure A1 77. Experiment 19: Winner condition predictions (large bonus).


Figure A1 78. Experiment 19: Score + Winner condition predictions (small bonus).

1 of 31.
Thursday, January 29th, 2015 at 7:00 pm
Boston Bruins (25 wins, 23 losses) @ New York Islanders ( 32 wins, 15 losses)

If you correctly predict the winner of this game,you will earn:
\$0.05

What will the final score of this game be?

How many points will the Boston Bruins score?
How many points will the New York Islanders score? $\qquad$

Who will win this game?
Boston Bruins
New York Islanders
-
New York Islanders

Figure A1 79. Experiment 19: Score + Winner condition predictions (large bonus).


Figure A1 80. Experiment 19: Base rates (all conditions).
1 of 31 .
Thursday, January 29th, 2015 at 7:00 pm
Boston Bruins (25 wins, 23 losses) @ New York Islanders (32 wins, 15 losses)

Imagine these two teams played this exact game $\mathbf{1 0 0}$ times

0
How many games (out of 100) would the Boston Bruins win?
0
How many games (out of 100) would the New York Islanders win?

## Excluded Experiments

We also ran 8 additional experiments in which we gave participants each team's "Points Scored" (the total number of points scored by that team so far that season) and "Points Allowed" (the total number of points scored against that team so far that season) for football and hockey games, and each team's "Average Points Scored" (the average number of points scored by that team per game so far that season) and "Average Points Allowed" (the average number of points scored against that team per game so far that season) for basketball games. However, we chose not to include these experiments in the main analyses because we were worried that differences between prediction conditions in these studies (namely, between Winner and Score + Winner) may have arisen because people who are asked about winners only look at the win/loss records and people who are asked about scores only look at the points scored or average points scored data. It should be noted that the effects we report are stronger when we include the data from these 8 experiments.

## Experiment E1

Table A1 20. Experiment E1 design.

| Predictions | 14 National Football League games played on September $29^{\text {th }}$ <br> $(13$ games $)$ and September $30^{\text {th }}(1$ game $)$ in 2013. |
| :--- | :--- |
| Run Date | September 27 ${ }^{\text {th }} 2013$ |
| Conditions | Winner, Score + Winner, Points + Winner |
| Record information | Wins, losses, points scored, points allowed |
| Measures in the <br> example that are <br> NOT included in <br> this experiment | Self-reported following and knowledge <br> Which sports they are interested in being contacted about. |
| Other deviations <br> from the example <br> format | . All games were displayed on a single page |

Figure A1 81. Experiment E1: Winner condition predictions.

## This is the list of 14 games scheduled to be played on Sunday September 29th and Monday September 30th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Points Scored, and their Points Allowed.

Points Scored is the total number of points the team has scored against opponents in all previous games in the season. Points Allowed is the total number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, September 27th.
For each game, please predict the winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Sunday, September 29th, 2013 @ 1:00 pm
Pittsburgh Steelers @ Minnesota Vikings

| Team | Wins | Losses | Points Scored | Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Pittsburgh Steelers | $\mathbf{0}$ | $\mathbf{3}$ | $\mathbf{4 2}$ | $\mathbf{7 6}$ |
| Minnesota Vikings | $\mathbf{0}$ | $\mathbf{3}$ | $\mathbf{8 1}$ | $\mathbf{9 6}$ |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?

Pittsburgh Steelers
-

Figure A1 82. Experiment E1: Score + Winner condition predictions.

This is the list of 14 games scheduled to be played on Sunday September 29th and Monday September 30th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Points Scored, and their Points Allowed.

Points Scored is the total number of points the team has scored against opponents in all previous games in the season. Points Allowed is the total number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, September 27th.
For each game, please predict the final score and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Sunday, September 29th, 2013 @ 1:00 pm
Pittsburgh Steelers @ Minnesota Vikings

| Team | Wins | Losses | Points Scored | Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Pittsburgh Steelers | 0 | 3 | 42 | 76 |
| Minnesota Vikings | 0 | 3 | 81 | 96 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many points will the Pittsburgh Steelers score?
How many points will the Minnesota Vikings score?

Who will win the game?

Figure A1 83. Experiment E1: Points + Winner condition instructions.

In this survey, you will predict the outcomes of the 14 National Football League games scheduled to be played on Sunday September 29th and Monday September 30th.

Specifically, you will predict the total number of points scored by both teams and winning team for each game. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 84. Experiment E1: Points + Winner condition predictions.

This is the list of 14 games scheduled to be played on Sunday September 29th and Monday September 30th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Points Scored, and their Points Allowed.

Points Scored is the total number of points the team has scored against opponents in all previous games in the season. Points Allowed is the total number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, September 27th.
For each game, please predict the total number of points scored and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Sunday, September 29th, 2013 @ 1:00 pm
Pittsburgh Steelers @ Minnesota Vikings

| Team | Wins | Losses | Points Scored | Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Pittsburgh Steelers | $\mathbf{0}$ | $\mathbf{3}$ | $\mathbf{4 2}$ | $\mathbf{7 6}$ |
| Minnesota Vikings | $\mathbf{0}$ | $\mathbf{3}$ | $\mathbf{8 1}$ | $\mathbf{9 6}$ |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many points will be scored during this game?

> Who will win the game?

Pittsburgh Steelers
○

Minnesota Vikings

## Experiment E2

The format of this experiment is an exact replication of Experiment E1.

Table A1 21. Experiment E2 design.

| Predictions | 13 National Football League games played on October $24^{\text {th }}$ ( 1 game), October $27^{\text {th }}$ (11 games), and October $28^{\text {th }}$ ( 1 game) in 2013. |
| :---: | :---: |
| Run Date | October 24 ${ }^{\text {th }}$, 2013 |
| Conditions | Winner, Score + Winner, Points + Winner |
| Record information | Wins, losses, points scored, points allowed |
| Measures in the example that are NOT included in this experiment | - Self-reported following and knowledge <br> . Which sports they are interested in being contacted about. |
| Other deviations from the example format | - All games were displayed on a single page |

## Experiment E3

The format of this experiment is an exact replication of Experiments E1 and E2.

Table A1 22. Experiment E3 design.

| Predictions | 13 National Football League games played on October 31 ${ }^{\text {st }}(1$ <br> game), November $3^{\text {rd }}(11$ games $)$, November $4^{\text {th }}(1$ game $)$ in <br> 2013. |
| :--- | :--- |
| Run Date | October 30 ${ }^{\text {th }}, 2013$ |
| Conditions | Winner, Score + Winner, Points + Winner |
| Record information | Wins, losses, points scored, points allowed |
| Measures in the <br> example that are <br> NOT included in <br> this experiment | Self-reported following and knowledge <br> Which sports they are interested in being contacted about. |
| Other deviations <br> from the example <br> format | All games were displayed on a single page <br> Each of the 8 measured knowledge questions was displayed <br> on a separate page. |

## Experiment E4

In this experiment we manipulated the sport (basketball vs. hockey) between subjects.

Table A1 23. Experiment E4 design.

| Predictions | 33 National Basketball Association games played on November $29^{\text {th }}$ (13 games), November $30^{\text {th }}$ (7 games), December $1^{\text {st }}$ (8 games), and December $2^{\text {nd }}$ (5 games) in 2013. <br> 30 National Hockey League games played on November $29^{\text {th }}$ (12 games), November $30^{\text {th }}$ (11 games), December $1^{\text {st }}$ (3 games), December $2^{\text {nd }}$ (4 games) in 2013. |
| :---: | :---: |
| Run Date | November 26 ${ }^{\text {th }}, 2013$ |
| Conditions | ```Predictions (Winner vs. Score + Winner) X Sport (NBA vs. NHL)``` |
| Record information | Wins, losses, average points scored (NBA), average points allowed (NBA), goals scored (NHL), goals allowed (NHL) |
| Measures in the example that are NOT included in this experiment | Self-reported following and knowledge. |
| Other deviations from the example format | - Each of the 8 measured knowledge questions was displayed on a separate page. |

Figure A1 85. Experiment E4: Winner condition predictions (NBA).

## This is the list of the $\mathbf{1 3}$ games scheduled to be played on Friday November 29th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Tuesday, November 26th.
For each game, please predict the winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, November 29th, 2013 @ 7:00 pm
Milwaukee Bucks @ Charlotte Bobcats

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Milwaukee Bucks | $\mathbf{2}$ | 11 | 89.9 | 100.2 |
| Charlotte Bobcats | $\mathbf{7}$ | 8 | 89.4 | $\mathbf{9 1 . 9}$ |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?

Milwaukee Bucks
○

Figure A1 86. Experiment E4: Score + Winner condition predictions (NBA).

## This is the list of the 13 games scheduled to be played on Friday November 29th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Tuesday, November 26th.
For each game, please predict the final score and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, November 29th, 2013 @ 7:00 pm
Milwaukee Bucks @ Charlotte Bobcats

| Team | Wins | Losses | Average <br> Points Scored |
| :---: | :---: | :---: | :---: |
| Milwaukee Bucks | $\mathbf{2}$ | 11 | 89.9 |
| Points Allowed |  |  |  |$|$| 100.2 |
| :---: |
| Charlotte Bobcats |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

How many points will the Milwaukee Bucks score?
How many points will the Charlotte Bobcats score?

Who will win the game?

Figure A1 87. Experiment E4: Winner condition predictions (NHL).

## This is the list of the $\mathbf{1 2}$ games scheduled to be played on Friday November 29th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Tuesday, November 26th.
For each game, please predict the winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, November 29th, 2013 @ 11:30 am
Winnipeg Jets @ Philadelphia Flyers

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Winnipeg Jets | 11 | 15 | 69 | 76 |
| Philadelphia Flyers | 10 | 13 | 50 | 56 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
Who will win the game?

Figure A1 88. Experiment E4: Score + Winner condition predictions (NHL).

## This is the list of the $\mathbf{1 2}$ games scheduled to be played on Friday November 29th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Tuesday, November 26th.
For each game, please predict the final score and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, November 29th, 2013 @ 11:30 am
Winnipeg Jets @ Philadelphia Flyers

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Winnipeg Jets | 11 | 15 | 69 | 76 |
| Philadelphia Flyers | 10 | 13 | 50 | 56 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

```
How many points will the
Winnipeg Jets score?
How many points will the
Philadelphia Flyers score?
Who will win the game?
```

Winnipeg Jets
-

Philadelphia Flyers
○

## Experiment E5

Table A1 24. Experiment E5 design.

| Predictions | 32 National Hockey League games played on December 27 $7^{\text {th }}(10$ <br> games $),$ December 28 $8^{\text {th }}(8$ games $)$, December 29 $9^{\text {th }}(10$ games $)$, <br> and December $30^{\text {th }}(4$ games $)$ in 2013. |
| :--- | :--- |
| Run Date | December $26^{\text {th }}, 2013$ |
| Conditions | Winner, Score + Winner, Crowd + Winner |
| Record information | Wins, losses, goals scored, goals allowed |

Figure A1 89. Experiment E5: Winner condition predictions.

This is the list of the $\mathbf{1 0}$ games scheduled to be played on Friday December 27th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season

All records are up to date as of Thursday, December 26th.
For each game, please predict the winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, December 27th, 2013 @ 7:00 pm
Buffalo Sabres @ Toronto Maple Leafs

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Buffalo Sabres | 10 | 27 | 66 | 105 |
| Toronto Maple Leafs | 18 | 21 | 106 | 113 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$ Who will win the game?

Figure A1 90. Experiment E5: Score + Winner condition predictions.

This is the list of the $\mathbf{1 0}$ games scheduled to be played on Friday December 27th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, December 26th.
For each game, please predict the final score and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, December 27th, 2013 @ 7:00 pm
Buffalo Sabres @ Toronto Maple Leafs

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Buffalo Sabres | 10 | 27 | 66 | 105 |
| Toronto Maple Leafs | 18 | 21 | 106 | 113 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
How many points will the Buffalo Sabres score?
How many points will the
Toronto Maple Leafs score?

Who will win the game?
$\square$

Figure A1 91. Experiment E5: Crowd + Winner condition instructions.

In this survey, you will predict the outcomes of the $\mathbf{3 2}$ National Hockey League games scheduled to be played on Friday December 27th through Monday December 30th.

Specifically, you will predict the $\%$ of U.S. citizens in the crowd at the arena and the winning team for each game.

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 92. Experiment E5: Crowd + Winner condition predictions.

This is the list of the $\mathbf{1 0}$ games scheduled to be played on Friday December 27th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, December 26th.
For each game, please predict the $\%$ of U.S. citizens in the crowd at the arena and winning team. You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, December 27th, 2013 @ 7:00 pm
Buffalo Sabres @ Toronto Maple Leafs

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Buffalo Sabres | 10 | 27 | 66 | 105 |
| Toronto Maple Leafs | 18 | 21 | 106 | 113 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$
What percentage of the crowd will
be U.S. citizens? (Enter a number between 0 and 100)

Who will win the game?

## Experiment E6

Table A1 25. Experiment E6 design.

| Predictions | 26 National Hockey League games played on February $6^{\text {th }}(11$ <br> games $),$ February $7^{\text {th }}(5$ games $)$, and February $8^{\text {th }}(10$ games $)$ in <br> 2014. |
| :--- | :--- |
| Run Date | February $6^{\text {th }}, 2014$ |
| Conditions | Predictions (Winner vs. Score + Winner) $X$ <br> No majority winner prediction vs. Majority winner prediction |
| Record information | Wins, losses, goals scored, goals allowed |

Figure A1 93. Experiment E6: Winner condition predictions (no majority winner prediction).

This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday February 6th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, February 6th.
For each game, please predict which team will win the game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, February 6th, 2014 @ 7:00 pm
Calgary Flames @ New York Islanders

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Calgary Flames | 21 | 35 | 132 | 175 |
| New York Islanders | 22 | 36 | 160 | 191 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Who will win this game?
Calgary Flames
○
New York Islanders

Figure A1 94. Experiment E6: Score + Winner condition predictions (no majority winner prediction).

## This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday February 6th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, February 6th.
For each game, please predict the final score of the game and which team will win the game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, February 6th, 2014 @ 7:00 pm
Calgary Flames @ New York Islanders

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Calgary Flames | 21 | 35 | 132 | 175 |
| New York Islanders | 22 | 36 | 160 | 191 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will the final score of this game be?
How many points will the
Calgary Flames score?
$\square$
How many points will the
New York Islanders score?

Who will win this game?

Calgary Flames
○

New York Islanders
○

Figure A1 95. Experiment E6: Winner condition instructions (with majority winner prediction).

```
In this survey, you will predict the outcomes of the 26 National Hockey League games scheduled to be played on
Thursday, February 6th through Saturday, February 8th.
Specifically, for each game you will predict which team would win the most out of 101 games and which team
will win the actual game.
```

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 96. Experiment E6: Winner condition predictions (with majority winner prediction).

This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday February 6th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses.
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, February 6th.
For each game, please predict which team would win the most out of $\mathbf{1 0 1}$ games and which team will win the actual game.

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, February 6th, 2014 @ 7:00 pm
Calgary Flames @ New York Islanders

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Calgary Flames | 21 | 35 | 132 | 175 |
| New York Islanders | 22 | 36 | 160 | 191 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Imagine these teams played this game 101 times. Which team would win the majority of those games?

Calgary Flames
○

New York Islanders

Who will win this game?
Calgary Flames
-

New York Islanders
N

Figure A1 97. Experiment E6: Score + Winner condition instructions (with majority winner prediction).

[^19]You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 98. Experiment E6: Score + Winner condition predictions (with majority winner prediction).

## This is the list of the $\mathbf{1 1}$ games scheduled to be played on Thursday February 6th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Goals Scored, and their Goals Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season, including Overtime Losses and Shootout Losses
- Goals Scored is the total number of goals the team has scored against opponents in all previous games in the season.
- Goals Allowed is the total number of goals that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Thursday, February 6th.
For each game, please predict which team would win the most out of 101 games, the final score of the actual game, and which team will win the actual game.

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Thursday, February 6th, 2014 @ 7:00 pm
Calgary Flames @ New York Islanders

| Team | Wins | Losses | Goals Scored | Goals Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Calgary Flames | $\mathbf{2 1}$ | 35 | 132 | 175 |
| New York Islanders | $\mathbf{2 2}$ | 36 | 160 | 191 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Imagine these teams played this game 101 times. Which team would win the majority of those games?
Calgary Flames New York Islanders

What will the final score of this game be?

How many points will the
Calgary Flames score? $\square$
How many points will the
New York Islanders score?

Who will win this game?

Calgary Flames
○

New York Islanders
○

## Experiment E7

Table A1 26. Experiment E7 design.

| Predictions | 33 National Basketball Association games played on February <br> $18^{\text {th }}(9$ games $)$, February $19^{\text {th }}(11$ games $)$, February $20^{\text {th }}(3$ <br> games $),$ and February $21^{\text {st }}(10$ games $)$ in 2014. |
| :--- | :--- |
| Run Date | February $18^{\text {th }}, 2014$ |\(\left|\begin{array}{l}Predictions (Winner vs. Score + Winner) X <br>


No majority winner prediction vs. Majority winner prediction\end{array}\right|\)| Conditions | Wins, losses, average points scored, average points allowed |
| :--- | :--- |

Figure A1 99. Experiment E7: Winner condition predictions (no majority winner prediction).

## This is the list of the 9 games scheduled to be played on Tuesday, February 18th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Monday, February 17th.
or each game, please predict which team will win the game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Tuesday, February 18th, 2014 @ 7:00 pm
Cleveland Cavaliers @ Philadelphia 76ers

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Cleveland Cavaliers | 20 | 33 | 96.7 | 102 |
| Philadelphia 76ers | 15 | 39 | 100.3 | 110.4 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Who will win this game?

Cleveland Cavaliers
-

Philadelphia 76ers
○

Figure A1 100. Experiment E7: Score + Winner condition predictions (no majority winner prediction).

This is the list of the 9 games scheduled to be played on Tuesday, February 18th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Monday, February 17th.
For each game, please predict the final score of the game and which team will win the game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Tuesday, February 18th, 2014 @ 7:00 pm
Cleveland Cavaliers @ Philadelphia 76ers

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Cleveland Cavaliers | 20 | 33 | 96.7 | 102 |
| Philadelphia 76ers | 15 | 39 | 100.3 | 110.4 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will the final score of this game be?

How many points will the Cleveland Cavaliers score?

How many points will the
Philadelphia 76ers score?
$\square$
$\square$

Who will win this game?

○

Figure A1 101. Experiment E7: Winner condition predictions (with majority winner prediction).

This is the list of the $\mathbf{9}$ games scheduled to be played on Tuesday, February 18th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Monday, February 17th.
For each game, please predict which team would win the most out of $\mathbf{1 0 1}$ games and which team will win the actual game.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Tuesday, February 18th, 2014 @ 7:00 pm
Cleveland Cavaliers @ Philadelphia 76ers

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Cleveland Cavaliers | 20 | 33 | 96.7 | 102 |
| Philadelphia 76ers | 15 | 39 | 100.3 | 110.4 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Imagine these teams played this game 101 times. Which team would win the majority of those games?

Cleveland Cavaliers

Who will win this game?
Cleveland Cavaliers
○
○

Philadelphia 76ers
○

Figure A1 102. Experiment E7: Score + Winner condition (with majority winner prediction).

This is the list of the 9 games scheduled to be played on Tuesday, February 18th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Monday, February 17th.
For each game, please predict which team would win the most out of $\mathbf{1 0 1}$ games, the final score of the actual game, and which team will win the actual game.

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Tuesday, February 18th, 2014 @ 7:00 pm
Cleveland Cavaliers @ Philadelphia 76ers

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Cleveland Cavaliers | 20 | 33 | 96.7 | 102 |
| Philadelphia 76ers | 15 | 39 | 100.3 | 110.4 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Imagine these teams played this game 101 times. Which team would win the majority of those games?

```
Cleveland Cavaliers Philadelphia 76ers
```

O

## What will the final score of this game be?

How many points will the Cleveland Cavaliers score?
How many points will the Philadelphia 76ers score?

Who will win this game?
Philadelphia 76ers

## Experiment E8

Table A1 27. Experiment E8 design.

| Predictions | 32 National Basketball Association games played on March $14^{\text {th }}$ <br> $(10$ games $)$, March $15^{\text {th }}(6$ games $)$, March $16^{\text {th }}(9$ games $)$, and <br> March $17^{\text {th }}(9$ games) in 2014. |
| :--- | :--- |
| Run Date | March $14^{\text {th }}, 2014$ | | Winner, Score + Winner, Free Throws + Winner, Temperature + |
| :--- |
| Conditions |
| Wecord information |
| Wins, losses, average points scored, average points allowed |

Figure A1 103. Experiment E8: Winner condition predictions.

This is the list of the $\mathbf{1 0}$ games scheduled to be played on Friday, March 14th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Friday, March 14th.
For each game, please predict the winning team.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, March 14th, 2014 @ 7:00 pm
Washington Wizards @ Orlando Magic

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Washington Wizards | 33 | 31 | 100.5 | 99.9 |
| Orlando Magic | 19 | 47 | 97 | 102.2 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

Who will win this game?
Washington Wizards
Orlando Magic
-
-

Figure A1 104. Experiment E8: Score + Winner condition predictions.

This is the list of the $\mathbf{1 0}$ games scheduled to be played on Friday, March 14th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Friday, March 14th.
For each game, please predict the final score of the game and the winning team.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, March 14th, 2014 @ 7:00 pm
Washington Wizards @ Orlando Magic

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Washington Wizards | 33 | 31 | 100.5 | 99.9 |
| Orlando Magic | 19 | 47 | 97 | 102.2 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will the final score of this game be?
How many points will the
Washington Wizards score?
How many points will the
Orlando Magic score?
$\square$
$\square$

Who will win this game?

Figure A1 105. Experiment E8: Free Throws + Winner condition instructions.

> In this survey, you will predict the outcomes of the 32 National Basketball Association games scheduled to be played on Friday, March 14th through Monday, March 17 th.
> Specifically, you will predict how many free throws each team will attempt and the winning team for each game.
> You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 106. Experiment E8: Free Throws + Winner condition predictions.

This is the list of the 10 games scheduled to be played on Friday, March 14th.
Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Friday, March 14th.
For each game, please predict how many free throws each team will attempt and the winning team.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Friday, March 14th, 2014 @ 7:00 pm
Washington Wizards @ Orlando Magic

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Washington Wizards | 33 | 31 | 100.5 | 99.9 |
| Orlando Magic | 19 | 47 | 97 | 102.2 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

How many free throws will each team attempt?

How many free throws will the Washington Wizards attempt?
How many free throws will the
Orlando Magic attempt?
$\square$

## Who will win this game?

Figure A1 107. Experiment E8: Temperature + Winner condition instructions.

In this survey, you will predict the outcomes of the $\mathbf{3 2}$ National Basketball Association games scheduled to be played on Friday, March 14th through Monday, March 17th.

Specifically, you will predict the temperature outside of the arena at the start of the game and the winning team for each game.

You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.

Figure A1 108. Experiment E8: Temperature + Winner condition predictions.

## This is the list of the $\mathbf{1 0}$ games scheduled to be played on Friday, March 14th.

Each game displays the visiting team (listed first) and the home team (listed second). For each team, you will be given their win-loss record, their Average Points Scored, and their Average Points Allowed.

- Wins is the number of games the team has won so far this season.
- Losses is the number of games the team has lost so far this season.
- Average Points Scored is the average number of points the team has scored against opponents in all previous games in the season.
- Average Points Allowed is the average number of points that opposing teams have scored against them in all previous games in the season.

All records are up to date as of Friday, March 14th.
For each game, please predict the outdoor temperature at the start of the game and the winning team.
You will receive a $\$ 0.05$ bonus from MTurk every time you correctly predict the winner of a game.
Friday, March 14th, 2014 @ 7:00 pm
Washington Wizards @ Orlando Magic

| Team | Wins | Losses | Average <br> Points Scored | Average <br> Points Allowed |
| :---: | :---: | :---: | :---: | :---: |
| Washington Wizards | 33 | 31 | 100.5 | 99.9 |
| Orlando Magic | 19 | 47 | 97 | 102.2 |

If you correctly predict the winner of this game, you will earn $\$ 0.05$

What will be the temperature outside of the arena at the start of the game?

Outdoor temperature:
(in Fahrenheit)
$\square$

Who will win this game?

## APPENDIX A2: ADDITIONAL MEASURES

All additional measures were collected after participants made all of their predictions. The additional measures are reported in the order that they appeared in the corresponding experiments. Not all measures appeared in all experiments.

To account for both observed and unobserved differences between experiments, the means for each variable we report are mean-centered by experiment and added to the overall average for that measure across all experiments and conditions. All correlations are also based on these mean-centered values. Significance tests are based on fixedeffects linear models.

Finally, the analyses reported in this document are only based on data from the 19 experiments included in the paper. Furthermore, in all instances a participant's "prediction quality" is defined as the percentage of games where they predicted that the team favored by well-calibrated markets would win (see the "Prediction Quality" section of the main paper for more details).

## Winning team probabilities / base rates (Experiments 7, 9, 11, 14-19)

On a separate page, immediately after making their predictions for all games, participants were given instructions informing them that they will be asked to report how likely each team was to win each game. Then on the following pages they were asked to imagine for each game that the two teams played that exact same game 100 times and to indicate how many times each team would win.

We included these questions because we wanted to explore whether people were thinking that the upcoming games would be different from games in the past (e.g., "I
know that the Braves usually beat the Pirates, but I think this time will be different and the Pirates will win."). If making detailed predictions changed people's beliefs about which teams were typically more likely to win, then doing so should affect their winning team probabilities as well as their predictions. If, however, making detailed predictions make people more likely to believe that the upcoming games would somehow be unique and that "this time will be different", their winning team probabilities should be unchanged.

In Experiments 7, 9, 11, and 14-15, participants gave their win probabilities by entering how many times out of 100 the home team would win. In Experiments 16-19 they gave their probabilities by entering how many times out of 100 both teams would win (and the numbers were required to sum to 100).

Figure A2 1. Winning team probability instructions.

In this portion of the survey, you will see the same [ X ] [sports league] games scheduled to be played from today, Thursday January 29th through Sunday February 1st.

For each game, we will ask you to imagine that the two teams played that exact game 100 times.

What we mean by "that exact game" is that each of the 100 times the game is played, the game would begin with the exact same starting conditions as the actual game.

For example, the location of the game, the home team, the win/loss records of each team, the player lineup, player injuries, etc. would all be the same at the beginning of each of the 100 games as they are at the beginning of the actual game.

For each game, we will ask you to tell us how many times you think [the home team / each team] would win if they played that exact game 100 times.

Note. " X " is the number of games they made predictions for in the experiment and "sports league" is the sport league of the games (e.g., Major League Baseball).

Then, on the next few pages, participants revisited each game and reported how may times out of 100 they thought each team would win if they were to play that exact game 100 times.

Figure A2 2. Winning team probability question format (Experiments 7, 9, 11, and 14-15). Imagine these two teams played this exact game 100 times.

How many games (out of 100) do you think the [home team] $\square$ would win?

Figure A2 3. Winning team probability question format (Experiments 16-19).

Imagine these two teams played this exact game $\mathbf{1 0 0}$ times.

0 How many games (out of 100) would the [visiting team] win?
0 How many games (out of 100) would the [home team] win?

Quality of winning team probabilities. Each winning team probability can be coded as either agreeing with the wise prediction (i.e., they said the market favorite would win more than 50 out of 100 games) or disagreeing with the wise prediction. Then we can compare the average percentage of winning team probabilities that agreed with the market favorites across prediction conditions to see if making detailed predictions changed people's beliefs about whether the market favorite was likely to win.

Table A2 1. Average \% of winning team probabilities that agreed with the market favorite.

| Winner | Score <br> + Winner | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :---: | :---: | :---: | :---: |
| $72.2 \%$ | $71.8 \%$ | $71.5 \%$ | $71.8 \%$ |
| $(.108)$ | $(.113)$ | $(.114)$ | $(.124)$ |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the HolmBonferroni correction for multiple comparisons (Holm, 1979).

Consistency of winning team probabilities with predictions. Each winning team probability can be coded as either consistent with the participants' own predictions (i.e., they said that the team they predicted to win the actual game would more than 50 out of 100 games) or inconsistent. Then we can compare the average percentage of consistent predictions across prediction conditions to see if making detailed predictions made people more likely to deviate from their own beliefs about which teams were more likely to win.

Table A2 2. Average \% of winning team probabilities that were consistent with the participants' own predictions.

| Winner | Score <br> + Winner | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :---: | :---: | :---: | :---: |
| $82.3 \%_{\mathrm{a}}$ | $79.9 \%_{\mathrm{b}}$ | $79.5 \%_{\mathrm{b}}$ | $80.9 \%_{\mathrm{ab}}$ |
| $(.162)$ | $(.113)$ | $(.114)$ | $(.124)$ |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the HolmBonferroni correction for multiple comparisons (Holm, 1979).

## Prediction strategy (Experiments 3-6, 8, 10, 12)

On a separate page, immediately after making their predictions for each game, participants described the strategies they used to make their predictions in an open-ended format. Participants were required to enter a minimum of 25 characters to proceed to the next page of the survey.

Figure A2 4. Prediction strategy question format.

> Briefly describe what strategies you used to make your predictions:
$\square$

In early studies, responses were read by the authors for exploratory purposes. None of the prediction strategy responses for any experiments have been formally coded or analyzed because we did not believe that participants would be aware of how the manipulations affected their thought processes (Nisbett \& Wilson, 1977).

## "Global" and "local" considerations (Experiments 1-16, E1-E8)

On a separate page, participants rated how much they considered each of several factors when making their predictions on a scale from 1 to 7 (see labels below). The display order of these items was randomized between subjects.

We used the exact "global" considerations (items 1-3 below, $\alpha=.68$ ) and "local" considerations (items 4-6 below, $\alpha=.85$ ) from Yoon et al. (2013). Yoon and colleagues
describe "global" information as "comprehensive data that indicate the overall circumstances of the issue (e.g., past performance of two teams)", and "local" information as information that "although more specific and detailed, reveals only partial information and is therefore less informative about the overall picture of the event (e.g., the offense ability of two teams)" (p. 5). For experiments that used baseball predictions, we added a fourth "local" consideration specific to baseball (item 7) that did not appear in Yoon et al. (2013).

Figure A2 5. "Global" and "local" considerations question format.


Table A2 3. Means and standard deviations of "global" and "local" considerations.

|  | Winner | Score ${ }^{\dagger}$ | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :---: | :---: | :---: | :---: | :---: |
| overall impression of the two teams | $\begin{gathered} 5.45 a \\ (1.47) \end{gathered}$ | $\begin{gathered} 5.55_{b} \\ (1.40) \end{gathered}$ | $\begin{aligned} & 5.54_{\mathrm{ab}} \\ & (1.45) \end{aligned}$ | $\begin{aligned} & 5.51_{\mathrm{ab}} \\ & (1.43) \end{aligned}$ |
| overall performance of the two teams in the past years | $\begin{gathered} 4.53 \\ (1.84) \end{gathered}$ | $\begin{gathered} 4.46 \\ (1.83) \end{gathered}$ | $\begin{gathered} 4.44 \\ (1.86) \end{gathered}$ | $\begin{gathered} 4.49 \\ (1.79) \end{gathered}$ |
| overall performance of the two teams in recent years | $\begin{gathered} 4.89 \\ (1.77) \end{gathered}$ | $\begin{gathered} 4.84 \\ (1.74) \end{gathered}$ | $\begin{gathered} 4.84 \\ (1.77) \end{gathered}$ | $\begin{gathered} 4.83 \\ (1.69) \end{gathered}$ |
| Global considerations | $\begin{gathered} 4.95 \\ (1.34) \end{gathered}$ | $\begin{gathered} 4.95 \\ (1.30) \end{gathered}$ | $\begin{gathered} 4.94 \\ (1.31) \end{gathered}$ | $\begin{gathered} 4.94 \\ (1.27) \end{gathered}$ |
| the teams' offensive abilities | $\begin{gathered} 4.47 \mathrm{a} \\ (1.82) \end{gathered}$ | $\begin{gathered} 4.70_{\mathrm{b}} \\ (1.78) \end{gathered}$ | $\begin{gathered} 4.70_{\mathrm{b}} \\ (1.76) \end{gathered}$ | $\begin{aligned} & 4.60_{\mathrm{ab}} \\ & (1.72) \end{aligned}$ |
| the teams' defensive abilities | $\begin{gathered} 3.98 \\ (1.79) \end{gathered}$ | $\begin{gathered} 4.06 \\ (1.77) \end{gathered}$ | $\begin{gathered} 4.11 \\ (1.75) \end{gathered}$ | $\begin{gathered} 4.13 \\ (1.70) \end{gathered}$ |
| the teams’ coaching abilities | $\begin{gathered} 3.41 \\ (1.76) \end{gathered}$ | $\begin{gathered} 3.35 \\ (1.74) \end{gathered}$ | $\begin{gathered} 3.35 \\ (1.72) \end{gathered}$ | $\begin{gathered} 3.49 \\ (1.75) \end{gathered}$ |
| the teams' pitching abilities [baseball only] | $\begin{gathered} 4.85 \\ (1.96) \end{gathered}$ | $\begin{gathered} 4.85 \\ (1.89) \end{gathered}$ | $\begin{gathered} 4.87 \\ (1.96) \end{gathered}$ | $\begin{gathered} 5.15 \\ (1.88) \end{gathered}$ |
| Local considerations | $\begin{gathered} 4.11 \\ (1.57) \end{gathered}$ | $\begin{gathered} 4.18 \\ (1.51) \end{gathered}$ | $\begin{gathered} 4.20 \\ (1.49) \end{gathered}$ | $\begin{gathered} 4.22 \\ (1.53) \end{gathered}$ |

Note. ${ }^{\dagger}$ Score includes all conditions where participants predicted the final score. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons.

Table A2 4. Correlations of "global" and "local" considerations with winning team prediction quality.

|  | Winner | Score $^{\dagger}$ | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :--- | :---: | :---: | :---: | :---: |
| overall impression of the two <br> teams | $.06^{* * *}$ | $.12^{* * *}$ | .03 | $.10^{*}$ |
| overall performance of the two <br> teams in the past years | $-.04^{*}$ | .00 | $-.11^{* * *}$ | $-.11^{*}$ |
| overall performance of the two <br> teams in recent years | .01 | $.04^{*}$ | -.04 | .01 |
| Global considerations | .01 | $.06^{* * *}$ | $-.06^{*}$ | -.01 |
| the teams' offensive abilities | $.05^{* *}$ | $.11^{* * *}$ | .04 | $.09^{*}$ |
| the teams' defensive abilities | -.01 | .00 | $-.08^{* *}$ | .04 |
| the teams' coaching abilities <br> the teams' pitching abilities <br> [baseball only] | $-.07^{* * *}$ | $-.06^{* * *}$ | $-.11^{* * *}$ | -.01 |
| Local considerations | $.16^{* * *}$ | $.13^{* * *}$ | $.12^{* * *}$ | .07 |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01$, *** $p<.001 .{ }^{\dagger}$ Score includes all conditions where participants predicted the final score.

## "This time" vs. "usually" considerations (Experiments 17-19)

In the last three experiments, instead of asking about "local" and "global" factors, we asked participants several questions designed to identify whether they were thinking of the upcoming games as unique or distinct from games in the past. They rated how much they thought about past performance (items 1, 3, and 5) and how much they thought about expected future performance (items 2 , 4, and 6) on a scale from 1 to 7 (see labels below).

Figure A2 6. "This time" and "usually" considerations question format.


Table A2 5. Means and standard deviations of "this time" and "usually" considerations.

|  | Winner |  | Score <br> + Winner |
| :--- | :---: | :---: | :---: |
| Irrelevant <br> + Winner |  |  |  |
| The overall performance of the two teams so | 6.15 | 6.02 | 6.15 |
| far this season | $(1.07)$ | $(1.20)$ | $(1.07)$ |
| Whether I expected either team to perform | 4.58 | 4.60 | 4.58 |
| better or worse that game than they usually do | $(1.58)$ | $(1.61)$ | $(1.58)$ |
|  | 4.61 | 4.75 | 4.61 |
| The typical quality of the teams' offenses | $(1.62)$ | $(1.63)$ | $(1.62)$ |
|  | 3.98 | 4.08 | 3.98 |
| How the teams' offensive lineups will look | $(1.75)$ | $(1.75)$ | $(1.75)$ |
| that game | 4.42 | 4.61 | 4.42 |
|  | $(1.65)$ | $(1.65)$ | $(1.65)$ |
| The typical quality of the teams' defenses | 3.92 | 4.03 | 3.92 |
| How the teams' defensive lineups will look | $(1.74)$ | $(1.73)$ | $(1.74)$ |
| that game. |  |  |  |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with pairwise t-tests and the HolmBonferroni correction for multiple comparisons.

Table A2 6. Correlations of "this time" and "usually" considerations with winning team prediction quality.

|  | Winner | Score <br> + Winner | Irrelevant <br> + Winner |
| :--- | :---: | :---: | :---: |
| The overall performance of the two teams so <br> far this season | $.13^{* * *}$ | $.23^{* * *}$ | $.31^{* * *}$ |
| Whether I expected either team to perform <br> better or worse that game than they usually do | $-.11^{* *}$ | $-.11^{* *}$ | $-.12^{* * *}$ |
| The typical quality of the teams' offenses | -.07. | -.03 | -.05 |
| How the teams' offensive lineups will look <br> that game | $-.13^{* * *}$ | $-.11^{* *}$ | $-.11^{* *}$ |
| The typical quality of the teams' defenses <br> How the teams' defensive lineups will look <br> that game. | $-.09^{*}$ | $-.10^{*}$ | $-.10^{* * *}$ |

[^20]
## Confidence and motivation (Experiments 3-19, E1-E8)

On a separate page, participants rated both how confident they were in their predictions and how motivated they were to make accurate predictions on scales from 1 to 7 (see labels below). They made these ratings for each type of prediction they made; for example, participants in the Score + Winner condition would rate their confidence and motivation for both their final score predictions and their winning team predictions. For each type of prediction, the motivation question was always immediately followed the confidence question. For participants who made detailed predictions, they rated the motivation and confidence for the detailed predictions before the winning team predictions (i.e., the same order that they made the predictions in the survey). All confidence and motivation questions for all predictions were displayed on a single page.

Figure A2 7. Confidence and motivation question format.

| Overall, how confident were you in the [outcome] predictions that you made? |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| not at all confident |  |  |  |  |  | extremely confident |
| O | O | O | 0 | 0 | 0 | O |
| Overall, how motivated were you to correctly predict the [outcome] for each game? |  |  |  |  |  |  |
| not at all motivated |  |  |  |  |  | extremely motivated |
| 0 | O | O | 0 | 0 | 0 | O |

Note. For confidence questions, [outcome] was replaced with the appropriate prediction type for the participant’s condition assignment: \{"final score", "hits", "total runs", "game time", "total points", "predictions you made about the \% of U.S. citizens in the crowd", "free throw", "temperature", "winning team"\}. For the motivation questions, [outcome] was replaced with the appropriate prediction type for the participant’s condition assignment: \{"final score", "number of hits each team will get", "total number of runs scored", "total game time", "total points scored", "\% of U.S. citizens in the crowd", "number of free throws each team will attempt", "temperature outside the arena at the start of each game", "winning team"\}.

Table A2 7. Means and standard deviations of confidence and motivation.

|  | Winner | Score $^{\dagger}$ | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :--- | :---: | :---: | :---: | :---: |
| confidence in winner | 4.83 | 4.82 | 4.90 | 4.79 |
| prediction | $(1.15)$ | $(1.33)$ | $(1.24)$ | $(1.19)$ |
| confidence in detailed |  | $3.84_{\mathrm{a}}$ | $3.67_{\mathrm{b}}$ | $3.81_{\mathrm{a}}$ |
| prediction | - | $(1.50)$ | $(1.52)$ | $(1.53)$ |
|  |  |  |  |  |
| motivation to correctly | $6.11_{\mathrm{a}}$ | $6.01_{\mathrm{b}}$ | $6.09_{\mathrm{ab}}$ | $6.03_{\mathrm{ab}}$ |
| predict winner | $(1.07)$ | $(1.16)$ | $(1.15)$ | $(1.04)$ |
| motivation to correctly |  |  |  |  |
| predict detail | - | $5.16_{\mathrm{a}}$ | $4.91_{\mathrm{b}}$ | $4.87_{\mathrm{b}}$ |

Note. ${ }^{\dagger}$ Score includes all conditions where participants predicted the final score. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons.

Table A2 8. Correlations of confidence and motivation with winning team prediction quality.

|  | Winner | Score $^{\dagger}$ | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :--- | :---: | :---: | :---: | :---: |
| confidence in winner <br> prediction | $.11^{* * *}$ | $.15^{* * *}$ | $.09^{* * *}$ | $.16^{* * *}$ |
| confidence in detailed <br> prediction | - | -.01 | -.03 | -.04 |
| motivation to correctly <br> predict winner | $.15^{* * *}$ | $.20^{* * *}$ | $.19^{* * *}$ | $.20^{* * *}$ |
| motivation to correctly <br> predict detail | - | $.05^{* *}$ | .02 | -.05 |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001 .^{\dagger}$ Score includes all conditions where participants predicted the final score.

## Thinking carefully and effortfully (Experiments 13, 14, 19)

These questions were included in three experiments where we manipulated the incentives for correct predictions within-subjects for different games. The ordering and format of these questions differed between Experiments 13-14 and Experiment 19.

In Experiments 13 and 14, we first informed participants that they would be rewarded a 5-cent bonus each time they correctly predicted the winning team. After making sixteen predictions, they reported "Overall, how carefully did you think about each game before making your winning team predictions?" and "Overall, how much effort did you invest in thinking about and making your predictions?" We then informed them that the amount of the bonus had been increased to 25 cents per correct winning team prediction for a remaining block of games. They then made predictions about an additional sixteen games and rated how carefully they thought about and how much effort they invested in making predictions for just those sixteen 25-cent games.

In Experiment 19, we informed participants at the beginning of the survey that some games would be worth more than others. They then made all thirty low- and highincentive predictions at once. The amount of the bonus (5 cents vs. 20 cents) was displayed prominently and alternated between games. After making all of their predictions, they rated how carefully they thought about and how much effort they invested in making their predictions separately for the 5 -cent games and the 20 -cent games.

Figure A2 8. Thinking carefully and effortfully question format.

| Overall, how carefully did you think about [each game / each of the 5 cent games / each of the 20 cent games] before making your winning team predictions? |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| not at all carefully |  |  |  |  |  | extremely carefully |
| O | 0 | 0 | 0 | O | O | 0 |
| Overall, how much effort did you invest in thinking about and making your predictions [for the 5 cent games / for the 20 cent games]? |  |  |  |  |  |  |
| no effort at all |  |  |  |  |  | extreme amounts of effort |
| O | 0 | 0 | O | 0 | O | O |

Table A2 9. Means and standard deviations of careful and effortful thinking.

|  | Winner | Score + Winner |
| :--- | :---: | :---: |
| careful (small incentive games) | 5.47 | 5.45 |
|  | $(1.30)$ | $(1.29)$ |
| careful (large incentive games) | 5.84 | 5.83 |
|  | $(1.20)$ | $(1.19)$ |
| effort (small incentive games) | 5.41 | 5.53 |
|  | $(1.32)$ | $(1.25)$ |
| effort (large incentive games) | 5.78 | 5.86 |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with pairwise t-tests and the HolmBonferroni correction for multiple comparisons.

Table A2 10. Correlations of careful and effortful thinking with winning team prediction quality.

|  | Winner | Score + Winner |
| :--- | :---: | :---: |
| careful (small incentive games) | .04 | $.14^{* * *}$ |
| careful (large incentive games) | .06 | $.14^{* * *}$ |
| effort (small incentive games) | .01 | $.11^{* *}$ |
| effort (large incentive games) | .02 | $.16^{* * *}$ |

Note. *p<.05, ** $p<.01$, ${ }^{* * *} p<.001$.

## Outcome variability (Experiments 8, 10)

On a separate page, participants were first asked to imagine that two teams played two games with the exact same starting conditions (players, location, weather, etc.). Then they were asked to rate how likely each type of outcome was to be different in the second game than in the first game on scales from 1 to 7 (see labels below). They made these ratings for each type of outcome they made predictions about; for example, participants in the Hits + Winner condition first rated how likely the exact number of hits scored by each team was to be different in the second game than in the first game, and then they rated how likely the winning team was to be different in the second game than in the first game.

Figure A2 9. Outcome variability instructions.

In the following questions, we will ask you to imagine that two teams play each other twice, and that both games have the exact same starting conditions. This means that the teams, the stadium, team records, player lineups, starting pitchers, player injuries, streaks, etc. would all be exactly the same at the start of both games.

Figure A2 10. Outcome variability question format.
$\left.\begin{array}{l}\text { If two teams played each other in two games with the exact same starting conditions, } \\ \text { how likely is it that the [outcome] of the first game would be different from the } \\ \text { [outcome] of the second game? } \\ \begin{array}{c}\text { it would } \\ \text { definitely not } \\ \text { be different }\end{array} \\ \begin{array}{c}\text { very unlikely } \\ \text { to be } \\ \text { different }\end{array}\end{array} \begin{array}{c}\text { somewhat } \\ \text { unlikely } \\ \text { to be different }\end{array} \quad \begin{array}{c}\text { somewhat } \\ \text { likely } \\ \text { to be different }\end{array} \quad \begin{array}{c}\text { very likely } \\ \text { to be } \\ \text { different }\end{array} \quad \begin{array}{c}\text { it would } \\ \text { definitely } \\ \text { be different }\end{array}\right]$

Note. [Outcome] was replaced with the appropriate game outcome for the participant’s condition: \{"exact final score", "exact number of hits per team", "combined total number of runs scored", "winning team"\}.

Table A2 11. Means and standard deviations of outcome variability.

|  | Winner | Score <br> + Winner | Hits <br> + Winner | Runs <br> + Winner |
| :--- | :---: | :---: | :---: | :---: |
| winner prediction variability | 3.49 | 3.47 | 3.58 | 3.62 |
|  | $(0.903)$ | $(0.810)$ | $(0.845)$ | $(0.849)$ |
| detailed prediction variability | - | 4.43 | 4.46 | 4.54 |
|  |  | $(1.029)$ | $(0.986)$ | $(0.891)$ |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with Holm-Bonferroni-corrected pairwise t-tests.

Table A2 12. Correlations of outcome variability with winning team prediction quality.

|  | Winner | Score <br> + Winner | Hits <br> + Winner | Runs <br> + Winner |
| :--- | :---: | :---: | :---: | :---: |
| winner prediction variability | .01 | -.10 | -.02 | .01 |
| detailed prediction variability | - | $.14^{*}$ | $.11^{*}$ | $.15^{* *}$ |

Note. * $p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001$.

## Outcome usefulness for predicting the winning team (Experiments 8, 10)

On the same page as the outcome variability questions, and after those questions, participants were asked how useful the detailed outcome they made predictions about was for predicting which team won the game on a scale from 1 to 5 (see labels below). Participants in conditions that only made winning team predictions were not asked this question.

Figure A2 11. Outcome usefulness for predicting the winning team question format.

Imagine you knew the [outcome] in a MLB baseball game. How much would this help you predict who won that game?

| completely <br> useless for <br> predicting the <br> winner | slightly useful <br> for predicting <br> the winner | moderately <br> useful for <br> predicting the <br> winner | extremely <br> useful for <br> predicting the <br> winner | I could tell with <br> certainty who <br> won the game |
| :---: | :---: | :---: | :---: | :---: |
| O | O | O | O | O |

Note. [Outcome] was replaced with one of the following, depending on condition: \{"exact number of runs that each team scored (i.e. the final score)", "exact number of hits that each team got", "combined total number of runs scored during the game" $\}$. Rationally, the exact final score should always be rated 5 , the combined total number of runs scored during the game should always be rated 1 , and the exact number of hits each team got should be rated somewhere in-between.

Table A2 13. Means and standard deviations of outcome usefulness for predicting the winning team.

| Exact final score | Exact number of hits | Total number of runs |
| :---: | :---: | :---: |
| $3.74_{\mathrm{a}}$ | $3.40_{\mathrm{b}}$ | $2.74_{\mathrm{c}}$ |
| $(1.03)$ | $(0.79)$ | $(1.05)$ |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with Holm-Bonferroni-corrected pairwise t-tests.

Table A2 14. Correlations of outcome usefulness for predicting the winning team with winning team predictions quality.

| Exact final score | Exact number of hits | Total number of runs |
| :---: | :---: | :---: |
| .01 | .02 | -.08 |
| Note. ${ }^{*} p<.05,{ }^{* *} p<.01, * * * p<.001$. |  |  |

Note. *p<.05, ** $p<.01,{ }^{* * *} p<.001$.

## Team liking (Experiment 12)

On a separate page, participants rated how much they disliked or liked each of the 32 teams that played in the 2014 FIFA World Cup on a 7-point scale from -3 to +3 (see labels below). Teams were listed in alphabetical order and the scale labels repeated every 7 teams.

Figure A2 12. Team liking question format.

| In general, how much do you like or dislike each team? |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | I hate this team | I very much dislike this team | I <br> somewhat dislike this team | I neither like nor dislike this team | I <br> somewhat like this team | I very much like this team | I love this team |
| Algeria | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Argentina | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| Australia | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| ! | ! | : | ! | ! | ! | ! | ! |
| Uruguay | 0 | 0 | 0 | 0 | 0 | 0 | 0 |

Note. Participants gave liking ratings for all 32 teams in the 2014 FIFA World Cup: Algeria, Argentina, Australia, Belgium, Bosnia and Herzegovina, Brazil, Cameroon, Chile, Colombia, Costa Rica, Côte d’Ivoire, Croatia, Ecuador, England, France, Germany, Ghana, Greece, Honduras, Iran, Italy, Japan, Korea Republic, Mexico, Netherlands, Nigeria, Portugal, Russia, Spain, Switzerland, United States, Uruguay.

Table A2 15. Means and standard deviations of liking ratings by country.

| United States | England | Brazil | Spain |
| :---: | :---: | :---: | :---: |
| 1.91 | 0.85 | 0.85 | 0.58 |
| (1.27) | (1.23) | (1.31) | (1.14) |
| Germany | Argentina | Italy | Netherlands |
| 0.55 | 0.49 | 0.46 | 0.41 |
| (1.27) | (0.99) | (1.15) | (0.92) |
| Australia | Portugal | Switzerland | Japan |
| 0.37 | 0.33 | 0.30 | 0.30 |
| (0.88) | (0.99) | (0.79) | (1.03) |
| Belgium | Chile | France | Colombia |
| 0.28 | 0.23 | 0.22 | 0.18 |
| (0.80) | (0.85) | (1.17) | (0.86) |
| Uruguay | Mexico | Costa Rica | Ecuador |
| 0.18 | 0.17 | 0.16 | 0.12 |
| (0.80) | (1.26) | (0.81) | (0.79) |
| Greece | Korea Republic | Honduras | Cameroon |
| 0.06 | 0.06 | 0.04 | 0.04 |
| (0.83) | (0.97) | (0.75) | (0.79) |
| Côte d'Ivoire | Croatia | Nigeria | Bosnia-Herzegovina |
| 0.03 | 0.03 | 0.01 | -0.04 |
| (0.84) | (0.77) | (0.77) | (0.73) |
| Algeria | Ghana | Russia | Iran |
| -0.10 | -0.12 | -0.20 | -0.50 |
| (0.66) | (1.04) | (1.07) | (1.05) |

Note. Countries are listed in descending order by average liking rating.

The liking ratings for the different countries' teams did not differ significantly between conditions, so instead we present the average liking ratings by country in descending
order.

Effect of team liking on winning team predictions.
How much more participants liked one team versus the other was significantly positively correlated with predicting that team to win the game, $r(29182)=0.26, p<.001$. However, there was no interaction between how much more participants liked the superior team than the inferior team and whether or not they predicted the score on winning team prediction quality.

| Predicted the | Difference in liking |  |
| :---: | :---: | :---: |
| superior team to win |  |  |
| values: $\{0,1\}$ | (superior minus inferior team) | $\times$ |
| Predicted the score |  |  |
| (Score+Winner condition) |  |  |

Table A2 16. Effect of liking on winning team prediction quality.

| Coefficients | Estimate | Std. Error | t value | $\operatorname{Pr}(>\|\mathrm{t}\|)$ |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| (Intercept) | 0.607 | 0.004 | 157.36 | $<0.001$ | $* * *$ |
| liking difference | 0.096 | 0.003 | 32.79 | $<0.001$ | $* * *$ |
| predicted score -0.032 0.006 -5.70 <br> liking difference <br> x predicted score -0.005 0.004 -1.31 |  |  | 0.001 | $* * *$ |  |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001$.

## Self-reported sports following and knowledge (Experiments 6-19, E5-E8)

On a separate page, participants rated how closely they followed the sport league used in the experiment (e.g., Major League Baseball) and how knowledgeable they were about that sport league on scales from 1 to 7 (see labels below).

Figure A2 13. Self-reported sports following and knowledge question format.

| How closely do you follow [sport league]? |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| not at all |  |  |  |  |  | extremely closely |
| 0 | O | O | O | O | O | O |
| How knowledgeable are you about [sport league]? |  |  |  |  |  |  |
| not at all knowledgeable |  |  |  |  |  | extremely |
|  |  |  |  |  |  | knowledgeable |
| $\bigcirc$ | 0 | O | 0 | 0 | 0 | $\bigcirc$ |

Note. [Sport league] was replaced with the relevant sport for the experiment: \{"MLB baseball", "NFL football", "NHL hockey", "NBA basketball", "FIFA soccer"\}

Figure A2 14. Histograms of responses for self-reported sports knowledge and following.


Table A2 17. Means and standard deviations of self-reported sports knowledge and following.

|  | Winner | Score + <br> Winner | Relevant + <br> Winner | Irrelevant <br> + Winner |
| :--- | :---: | :---: | :---: | :---: |
| self-reported sports knowledge | 4.62 | 4.60 | 4.60 | 4.56 |
|  | $(1.47)$ | $(1.45)$ | $(1.53)$ | $(1.45)$ |
| self-reported sports following | 4.62 | 4.58 | 4.60 | 4.56 |
|  | $(1.48)$ | $(1.45)$ | $(1.53)$ | $(1.45)$ |

Note. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with pairwise t-tests and the HolmBonferroni correction for multiple comparisons.

Table A2 18. Correlations of self-reported sports knowledge and following with winning team prediction quality.

|  | Winner | Score <br> + Winner | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :--- | :---: | :---: | :---: | :---: | :---: |
| self-reported sports knowledge | $.15^{* * *}$ | $.17^{* * *}$ | $.13^{* * *}$ | $.11^{* * *}$ |
| self-reported sports following | $.15^{* * *}$ | $.16^{* * *}$ | $.15^{* * *}$ | $.13^{* * *}$ |

Note. *p<.05, ** $p<.01,{ }^{* * *} p<.001$.

## Measured knowledge (Experiments 1-19, E1-E8)

On a separate page, participants answered 8 questions designed to assess their knowledge of the sport league used in the study. The display order of these questions was randomized between participants. The questions used varied between experiments. Participants were encouraged to leave the questions blank if they didn't know the answer rather than guessing the answer.

Two of the eight questions were about which division a given sports team belonged to. For each of these questions, participants were prompted to select the division that a given team belonged to from a drop-down list containing all divisions in the sports league. Major League Baseball has two major leagues with three divisions each for a total of six divisions, the National Football League has two major conferences with four divisions each for a total of eight divisions, the National Hockey League has two major conferences with two divisions each for a total of four divisions, and the National Basketball Association has two major conferences with three divisions each for a total of six divisions. The two sports teams were chosen so that there was one from each of the two major leagues/conferences. The teams used in these questions varied between experiments.

Six of the eight questions asked about which teams relatively well-known players played for. For each of these questions, participants were prompted to select the team that a given player played for from a drop-down list containing all teams in the sports league. For baseball and basketball, players were chosen so that there was one player from each of the six different divisions in the league. For hockey, players were chosen so that there was at least one player from each of the four different divisions, and the remaining two players were drawn from teams from different conferences. For football, players were chosen so that each player was from a different division and there were three players from each conference. The players used in these questions varied between experiments.

For the 2014 FIFA World Cup (Experiment 12), all eight questions were about which teams various players belonged to, and players were chosen at random from a list of the top 25 well-known players in FIFA that were participating in the World Cup in 2014.

Figure A2 15. Measured sports knowledge instructions.

In this section, we will ask you 8 questions designed to assess your [sports league] knowledge. Please answer each of the following questions to the best of your ability.

Please do NOT look up the answers while completing this section. It is important for us to have an accurate sense of your baseball knowledge. Your bonus payment will not be affected by how you answer these questions.

If you do not know an answer, please leave it blank and move on to the next question.

Figure A2 16. Example of measured knowledge question format (team/division matching).

In which division do the [sports team] play?

|  |
| :--- |
|  |
| American League East |
| American League Central |
| American League West |
| National League East |
| National League Central |
| National League West |

Figure A2 17. Example of measured knowledge question format (player/team matching).

Which MLB team does [player] play for?


Figure A2 18. Histogram of measured knowledge scores.


Unlike most self-reported measures, knowledge scores did not follow a normal distribution. Rather, most participants scored either on the low end or the high end of the range, and relatively few people in the middle of the range.

Table A2 19. Means and standard deviations of measured knowledge scores.

| Winner | Score $^{\dagger}$ | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :---: | :---: | :---: | :---: |
| 4.62 | 4.56 | 4.61 | 4.53 |
| $(2.86)$ | $(2.85)$ | $(2.96)$ | $(2.73)$ |

$\overline{\text { Note. }}{ }^{\dagger}$ Score includes all conditions where participants predicted the final score. All means in the table are mean-centered with experiment as the grouping factor. Within each row, means with different subscripts are significantly different at $p<.05$ with pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons.

Table A2 20. Correlations of measured sports knowledge with winning team prediction quality.

| Winner | Score $^{\dagger}$ | Relevant <br> + Winner | Irrelevant <br> + Winner |
| :---: | :---: | :---: | :---: |
| $.23^{* * *}$ | $.23^{* * *}$ | $.20^{* * *}$ | $.23^{* * *}$ |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001 .{ }^{\dagger}$ Score includes all conditions where participants predicted the final score.

## Maximizing Tendency Scale (Experiments 1-2)

This scale was included at the end of Experiments 1 and 2 on a separate page after all other measures other than age, gender, and optional contact information. These questions were included as a pilot for a separate research question, and so we will not discuss them further.

Figure A2 19. Maximizing Tendency Scale question format.

|  | completely disagree | neither agree nor disagree |  |  |  |  | completely agree |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| No matter what it takes, I always try to choose the best thing. | O | O | O | O | O | O | 0 |
| I don't like having to settle for "good enough". | O | O | O | O | O | O | O |
| 1 am a maximizer. | 0 | 0 | 0 | O | 0 | 0 | 0 |
| No matter what I do, I have the highest standards for myself. | O | O | O | O | O | O | O |
| I will wait for the best option no matter how long it takes. | O | 0 | 0 | O | O | 0 | O |
| I never settle for second best. | O | O | O | O | O | O | O |
| I am uncomfortable making decisions before I know all of my options. [Reversecoded] | 0 | O | O | O | 0 | O | O |

Whenever I'm faced
with a choice, I try to imagine what all the other possibilities are,
O
O

O
O
O
O
0 even ones that aren't present at the moment.

| I never settle. | O | O | O | O | O | O | O |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | neither <br> completely <br> disagree |  |  | nor <br> nor <br> disagree |  | completely <br> agree |  |
|  |  |  |  |  |  |  |  |

## Gender and age (Experiments 1-19, E1-E8)

On a separate page, participants reported their gender and age.

Figure A2 20. Gender and age question format.


Averages and correlations. Across all experiments, most participants were male (73.2\%) and an average of 30.9 years old ( $\mathrm{SD}=9.9$ ). Being female was significantly negatively correlated with making wise predictions, $\mathrm{r}(10,323)=-.07, \mathrm{p}<.001$, and age was uncorrelated with wise predictions.

## Instruction difficulty/confusion (Experiments 7, 9, 11, 14-19)

On same page as gender and age, after these questions, participants reported how difficult the survey was to understand (Experiment 7) or how confusing the instructions were (Experiments 9, 11, 14-19) on scales from 1 to 4 (see labels below). We included this question in all experiments where participants reported winning team probabilities because we were worried that some participants would be confused by the instructions to imagine two teams playing the exact same game 100 .

Figure A2 21. Question difficulty question format (Experiment 7).

| How difficult was this survey to understand? |  |  |  |
| :---: | :---: | :---: | :---: |
| not at all <br> difficult | slightly <br> difficult | moderately | difficult |

Figure A2 22. Question difficulty question format (Experiments 9, 11, and 14-19).

| How confusing were the instructions in this survey? |  |  |  |
| :---: | :---: | :---: | :---: |
| not at all | slightly | moderately | extremely |
| confusing | confusing | confusing | confusing |
| 0 | 0 | 0 | 0 |

Table A2 21. Summary of responses to question difficulty.

|  | not at all <br> [difficult/confusing] | slightly <br> [difficult/confusing] | moderately <br> [difficult/confusing] | extremely <br> [difficult/confusing] |
| :---: | :---: | :---: | :---: | :---: |
| N | 4009 | 952 | 330 | 52 |
| $\%$ | $87.0 \%$ | $10.3 \%$ | $2.4 \%$ | $0.3 \%$ |

Across experiments, the vast majority of participants rated the survey to be "not at all [difficult/confusing]".

## Contact for future studies (Experiments 1-19, E1-E8)

On the same page as gender and age, after all other questions, participants were asked whether they would like to be contacted to participate in future sports studies, and if so, to give a contact e-mail address. We did not use the information collected in this section to recruit for any experiments.

Figure A2 23. Contact for future studies sport selection.

Would you like to participate in future studies that allow you to win money by making predictions about sports? If so, check the boxes for the sports you are interested in and enter your email address in the box below:

- Major League Baseball
- National Basketball Association
- National Football League
- National Hockey League
$\square \quad$ Fédération Internationale de Football Association (FIFA) [Experiment 12 only]
Note. The checklist for different sports leagues was only used in Experiments 6-19 and E4-E8. For Experiments 1-5 and E1-E3, participants were asked "Would you like to participate in future studies that allow you to win money by making predictions about [Major League Baseball / the National Football League]? If so, please enter your email address in the box below." This statement was then followed by the email entry box and privacy disclaimer displayed below.

Figure A2 24. Contact for future studies e-mail entry.
(If you enter your email address then University of Pennsylvania researchers may occasionally email you links to surveys about the sports you selected. We will NEVER share your email address with anyone).

## APPENDIX A3. ALTERNATIVE ANALYSES

In this document, we report several alternative analyses for each of the main findings reported in the Results section of the main text.

## Definition of Prediction Quality

Our research investigates how making detailed predictions about sports affects prediction quality. In the main text, we defined wise predictions as choosing the team favored by betting markets. However, there are several possible ways to define a wise prediction:

- Odds: Choosing the team favored by well-calibrated betting markets (the definition used in the main text).
- Records: Choosing the team that had won a greater percentage of past games.
- Accuracy: Choosing the team that actually won the game.

In the main text we explain why the best definition for a wise prediction is choosing the team favored by well-calibrated betting markets ("Odds"), but in this Appendix we reproduce the main results for all three definitions.

## Level of Analysis

We also chose to analyze wise predictions in the main text at the game level, examining for each game whether a greater percentage of participants made wise predictions when they were simply asked to select the winning team than when they were
also (or instead) asked to make a detailed prediction. However, there are multiple ways we could have analyzed wise predictions:

- Game-Level Analysis: Treat each game as an observation and compare the percentage of participants making wise predictions between different conditions as within-subjects measures (the method used in the main text).
- Participant-Level Analysis: Treat each participant as an observation and compare the average percentage of wise predictions made by participants in different conditions.
- Prediction-Level Analysis: Treat each prediction as an observation and compare the percentage of wise predictions between conditions.

In the main text, we explain that using game as the level of analysis has the benefit of controlling for differences across games, while also allowing us to explore whether effects emerge for some games and not others. However, the other methods outlined above are reported in this Appendix.

## Summary of experimental results

The tables in this section report alternative analyses for the data presented in Table 1 in the main text displaying the percentage of wise predictions made in each condition in each experiment.

Table A3 1. Game-Level Analyses. Experiments 1-19: The average percentage of participants making wise predictions in each prediction condition for each experiment.

| Experiment | Sport <br> League | $\begin{gathered} \text { \# of } \\ \text { subjects } \end{gathered}$ | $\begin{gathered} \begin{array}{c} \text { \# of } \\ \text { games } \end{array} \\ \hline \end{gathered}$ | Wise <br> Prediction | Winner Only | Score Only | $\begin{gathered} \text { Score } \\ + \text { Winner } \end{gathered}$ | Relevant +Winner | Irrelevant +Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | MLB | 316 | 41 | Odds | 67.3\% ${ }_{\text {a }}$ | 61.4\% ${ }_{\text {b }}$ | - | - | - |
|  |  |  |  | Records | 69.5\% ${ }_{\text {a }}$ | 65.1\% ${ }_{\text {b }}$ | - | - | - |
|  |  |  |  | Accuracy | 53.5\% | 52.4\% | - | - | - |
| 2 | MLB | 508 | 39 | Odds | $73.3 \%_{\text {a }}$ | 67.4\% ${ }_{\text {c }}$ | 69.7\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | $78.8 \%$ a | 72.5\% ${ }_{\text {c }}$ | 75.0\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Accuracy | $42.2 \%_{\text {b }}$ | $46.4 \%_{\text {a }}$ | 44.2\% ${ }_{\text {ab }}$ | - | - |
| 3 | MLB | 635 | 45 | Odds | $63.4 \%_{\text {a }}$ | 57.5\% ${ }_{\text {c }}$ | 60.2\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 71.5\% ${ }_{\text {a }}$ | 65.2\% ${ }_{\text {c }}$ | $71.7 \%$ b | - | - |
|  |  |  |  | Accuracy | 52.7\% | 51.5\% | 51.2\% | - | - |
| 4 | MLB | 631 | 45 | Odds | $70.8 \%$ a | - | 66.6\% ${ }_{\text {b }}$ | $66.8 \%$ b | - |
|  |  |  |  | Records | $76.9 \%$ a | - | $72.2 \%_{\text {c }}$ | $74.0 \%$ b | - |
|  |  |  |  | Accuracy | 51.9\% | - | 49.8\% | 50.0\% | - |
| 5 | MLB | 634 | 42 | Odds | 60.1\% | - | 58.8\% | 58.8\% | 60.2\% |
|  |  |  |  | Records | 78.9\% ${ }_{\text {ab }}$ | - | $76.8 \%$ b | $79.2 \%$ a | $78.9 \%{ }_{\text {ab }}$ |
|  |  |  |  | Accuracy | 49.2\% | - | 48.5\% | 48.8\% | 48.3\% |
| 6 | NHL | 309 | 29 | Odds | $53.5 \%$ a | - | 49.8\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 58.4\% ${ }_{\text {a }}$ | - | $55.4 \%$ b | - | - |
|  |  |  |  | Accuracy | 56.8\% | - | 54.4\% | - | - |
| 7 | MLB | 337 | 45 | Odds | $56.6 \%{ }_{\text {a }}$ | - | 53.9\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | $73.1 \%_{\text {a }}$ | - | $70.4 \%$ b | - | - |
|  |  |  |  | Accuracy | 47.2\% | - | 47.2\% | - | - |
| 8 | MLB | 625 | 44 | Odds | 56.7\% | - | 55.7\% | 55.8\% | - |
|  |  |  |  | Records | $73.6 \%$ a | - | 71.2\% ${ }_{\text {b }}$ | $71.4 \%_{\text {b }}$ | - |
|  |  |  |  | Accuracy | 51.8\% | - | 51.6\% | 51.1\% | - |
| 9 | MLB | 422 | 41 | Odds | 60.9\% | - | 59.7\% | - | - |
|  |  |  |  | Records | 73.4\% | - | 74.0\% | - | - |
|  |  |  |  | Accuracy | $44.4 \%_{\text {b }}$ | - | $45.9 \%_{\text {a }}$ | - | - |
| 10 | MLB | 728 | 45 | Odds | 59.3\% | - | 58.4\% | 58.5\% | - |
|  |  |  |  | Records | $77.4 \%{ }_{\text {a }}$ | - | 75.2\% ${ }_{\text {b }}$ | $76.3 \%$ ab | - |
|  |  |  |  | Accuracy | 54.4\% | - | 54.7\% | 54.7\% | - |
| 11 | MLB | 525 | 42 | Odds | $63.4 \%_{\text {a }}$ | - | 61.8\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 71.6\% | - | 70.5\% | - | - |
|  |  |  |  | Accuracy | 46.6\% | - | 46.8\% | - | - |

(table continued on next page)

| Experiment | Sport <br> League | $\begin{gathered} \text { \# of } \\ \text { subjects } \\ \hline \end{gathered}$ | $\begin{gathered} \begin{array}{c} \text { \# of } \\ \text { games } \end{array} \\ \hline \end{gathered}$ | Prediction Quality | Winner Only | Score <br> Only | $\begin{gathered} \text { Score } \\ + \text { Winner } \end{gathered}$ | Relevant <br> +Winner | Irrelevant +Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 12 | FIFA | 622 | 48 | Odds | $61.2 \%{ }_{\text {a }}$ | - | $57.8 \%{ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | - | - | - | - | - |
|  |  |  |  | Accuracy | 49.7\% | - | 48.4\% | - | - |
| 13 | NBA | 420 | 32 | Odds | 70.3\% | - | 70.9\% | - | - |
|  |  |  |  | Records | $79.1 \%_{\text {a }}$ | - | $77.8 \%$ b | - | - |
|  |  |  |  | Accuracy | 62.1\% | - | 61.7\% | - | - |
| 14 | NHL | 541 | 32 | Odds | 70.0\% | - | 70.8\% | - | - |
|  |  |  |  | Records | 82.0\% | - | 81.4\% | - | - |
|  |  |  |  | Accuracy | 55.4\% | - | 55.9\% | - | - |
| 15 | NBA | 775 | 32 | Odds | 74.1\% | - | 72.9\% | 72.4\% | 72.6\% |
|  |  |  |  | Records | $86.2 \%$ a | - | $84.6 \%$ b | 83.7\% ${ }_{\text {b }}$ | 83.4\% ${ }_{\text {b }}$ |
|  |  |  |  | Accuracy | 60.2\% | - | 60.7\% | 60.2\% | 59.4\% |
| 16 | NHL | 711 | 30 | Odds | 73.3\% | - | 72.4\% | 71.4\% | 73.0\% |
|  |  |  |  | Records | 81.6\% ${ }_{\text {ab }}$ | - | $80.6 \%$ bc | $78.0 \%_{\text {d }}$ | $79.3 \%_{\text {cd }}$ |
|  |  |  |  | Accuracy | 55.2\% | - | 54.6\% | 54.4\% | 55.9\% |
| 17 | NHL | 811 | 31 | Odds | $74.8 \%{ }_{\text {a }}$ | - | $70.8 \%{ }_{\text {b }}$ | - | $75.2 \%_{\text {a }}$ |
|  |  |  |  | Records | 83.6\% ${ }_{\text {a }}$ | - | $80.3 \%$ b | - | $83.4 \%$ a |
|  |  |  |  | Accuracy | 53.8\% | - | 52.6\% | - | 53.4\% |
| 18 | NBA | 828 | 30 | Odds | 78.4\% | - | 76.5\% | - | 78.3\% |
|  |  |  |  | Records | 83.7\% ${ }_{\text {a }}$ | - | 81.5\% ${ }_{\text {b }}$ | - | $82.6 \%$ ab |
|  |  |  |  | Accuracy | 68.5\% | - | 67.2\% | - | 68.8\% |
| 19 | NHL | 518 | 31 | Odds | 69.7\% ${ }_{\text {a }}$ | - | $65.4 \%{ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 79.4\% | - | 77.2\% | - | - |
|  |  |  |  | Accuracy | 50.0\% | - | 50.3\% | - | - |

Note. Each row shows the average percentage of participants making wise predictions across games within each condition for that experiment. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using withinsubjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979). The percentages of wise predictions defined by records are not calculated for Experiment 12 because the FIFA teams in the World Cup did not have comparable win/loss records. Experiment 3 manipulated whether the Score + Winner condition was paid based on the accuracy of their score prediction or their winner prediction; the Score + Winner column collapses across these two conditions. Experiments 4, 8, and 10 included two Relevant + Winner conditions, a condition in which participants first predicted total runs and a condition in which participants first predicted each team's hits; the Relevant + Winner column collapses across these two conditions. The relevant predictions made in Experiments 5, 15, and 16 were total runs scored, free throws attempted by each team, and saves made by each team, respectively. Experiments 17 and 18 included two Irrelevant + Winner conditions, a condition in which participants predicted the temperature outside the indoor stadium at the start of the game and a condition where participants predicted the high temperature in the game city on July $4^{\text {th }} 2015$ (about 6 months after the game); the Irrelevant + Winner column collapses across these two conditions. The irrelevant predictions made in Experiments 5, 15 and 16 were total game time, temperature outside the stadium at game time, and percentage of U.S. citizens in the crowd, respectively. FIFA = Fédération Internationale de Football Association; MLB = Major League Baseball; NBA = National Basketball Association; NHL = National Hockey League.

Table A3 2. Participant-Level Analyses. Experiments 1-19: The average percentage of wise predictions made by participants in each prediction condition for each experiment.

| Experiment | Sport <br> League | $\begin{gathered} \begin{array}{c} \# \text { of } \\ \text { subjects } \end{array} \\ \hline \end{gathered}$ | $\begin{gathered} \begin{array}{c} \text { \# of } \\ \text { games } \end{array} \\ \hline \end{gathered}$ | Prediction Quality | Winner Only | Score Only | $\begin{gathered} \text { Score } \\ + \text { Winner } \end{gathered}$ | Relevant +Winner | Irrelevant <br> +Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | MLB | 316 | 41 | Odds | 67.2\% ${ }_{\text {a }}$ | 60.8\% ${ }_{\text {b }}$ | - | - | - |
|  |  |  |  | Records | 69.5\% ${ }_{\text {a }}$ | 64.8\% ${ }_{\text {b }}$ | - | - | - |
|  |  |  |  | Accuracy | 53.5\% | 52.4\% | - | - | - |
| 2 | MLB | 508 | 39 | Odds | $73.2 \%_{\text {a }}$ | 67.6\% ${ }_{\text {b }}$ | $69.5 \%{ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | $78.7 \%_{\text {a }}$ | $72.5 \%$ b | 74.7\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Accuracy | $42.2 \%_{\text {c }}$ | $46.4 \%_{\text {a }}$ | 44.2\% ${ }_{\text {b }}$ | - | - |
| 3 | MLB | 635 | 45 | Odds | $63.4 \%_{\text {a }}$ | 57.7\% ${ }_{\text {c }}$ | $60.2 \%$ b | - | - |
|  |  |  |  | Records | $71.5 \%$ a | 65.4\% ${ }_{\text {b }}$ | 71.7\% ${ }_{\text {a }}$ | - | - |
|  |  |  |  | Accuracy | 52.6\% ${ }_{\text {a }}$ | 51.6\% ${ }_{\text {ab }}$ | 51.2\%b | - | - |
| 4 | MLB | 631 | 45 | Odds | $70.8 \%$ a | - | 66.6\%b | $66.7 \%$ b | - |
|  |  |  |  | Records | 77.0\% ${ }_{\text {a }}$ | - | $72.2 \%_{\text {b }}$ | $74.1 \%_{\text {ab }}$ | - |
|  |  |  |  | Accuracy | 51.8\% | - | 49.8\% | 50.0\% | - |
| 5 | MLB | 634 | 42 | Odds | 60.1\% | - | 59.0\% | 58.8\% | 60.1\% |
|  |  |  |  | Records | 78.9\% | - | 77.1\% | 79.2\% | 78.6\% |
|  |  |  |  | Accuracy | 49.2\% | - | 48.4\% | 48.7\% | 48.1\% |
| 6 | NHL | 309 | 29 | Odds | $53.5 \%$ | - | $49.6 \%{ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 58.4\% ${ }_{\text {a }}$ | - | $55.2 \%$ b | - | - |
|  |  |  |  | Accuracy | 56.8\% ${ }_{\text {a }}$ | - | $54.2 \%_{\text {b }}$ | - | - |
| 7 | MLB | 337 | 45 | Odds | $56.5 \%$ a | - | $53.6 \%$ b | - | - |
|  |  |  |  | Records | 73.1\% | - | 70.5\% | - | - |
|  |  |  |  | Accuracy | 47.1\% | - | 46.9\% | - | - |
| 8 | MLB | 625 | 44 | Odds | 56.8\% | - | 55.8\% | 56.2\% | - |
|  |  |  |  | Records | 73.6\% | - | 71.3\% | 71.6\% | - |
|  |  |  |  | Accuracy | 51.8\% | - | 51.7\% | 51.0\% | - |
| 9 | MLB | 422 | 41 | Odds | 60.9\% | - | 59.7\% | - | - |
|  |  |  |  | Records | 73.4\% | - | 73.9\% | - | - |
|  |  |  |  | Accuracy | 44.4\% | - | 45.6\% | - | - |
| 10 | MLB | 728 | 45 | Odds | 59.4\% | - | 58.5\% | 58.5\% | - |
|  |  |  |  | Records | 77.3\% | - | 75.1\% | 76.2\% | - |
|  |  |  |  | Accuracy | 54.4\% | - | 54.8\% | 54.8\% | - |
| 11 | MLB | 525 | 42 | Odds | $63.4 \%_{\text {a }}$ | - | $61.6 \%$ b | - | - |
|  |  |  |  | Records | 71.6\% | - | 70.6\% | - | - |
|  |  |  |  | Accuracy | 46.6\% | - | 47.0\% | - | - |

(table continued on next page)

| Experiment | Sport <br> League | $\begin{gathered} \begin{array}{c} \text { \# of } \\ \text { subjects } \end{array} \\ \hline \end{gathered}$ | \# of games | Prediction Quality | Winner Only | Score Only | $\begin{gathered} \text { Score } \\ + \text { Winner } \end{gathered}$ | Relevant +Winner | Irrelevant +Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 12 | FIFA | 622 | 48 | Odds | $61.2 \%{ }_{\text {a }}$ | - | 57.7\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | - | - | - | - | - |
|  |  |  |  | Accuracy | $49.6 \%$ a | - | 48.4\% ${ }_{\text {b }}$ | - | - |
| 13 | NBA | 420 | 32 | Odds | 70.3\% | - | 70.7\% | - | - |
|  |  |  |  | Records | 79.2\% | - | 77.8\% | - | - |
|  |  |  |  | Accuracy | 62.2\% | - | 61.6\% | - | - |
| 14 | NHL | 541 | 32 | Odds | 69.9\% | - | 70.9\% | - | - |
|  |  |  |  | Records | 82.0\% | - | 81.2\% | - | - |
|  |  |  |  | Accuracy | 55.3\% | - | 55.9\% | - | - |
| 15 | NBA | 775 | 32 | Odds | 74.2\% | - | 72.9\% | 72.4\% | 72.7\% |
|  |  |  |  | Records | 86.2\% | - | 84.6\% | 83.7\% | 83.4\% |
|  |  |  |  | Accuracy | 60.3\% | - | 61.0\% | 60.4\% | 59.8\% |
| 16 | NHL | 711 | 30 | Odds | 73.3\% | - | 72.2\% | 71.4\% | 73.0\% |
|  |  |  |  | Records | 81.6\% | - | 80.4\% | 78.0\% | 79.1\% |
|  |  |  |  | Accuracy | 55.2\% | - | 54.7\% | 54.4\% | 56.0\% |
| 17 | NHL | 811 | 31 | Odds | $74.9 \%{ }_{\text {a }}$ | - | 70.2\% ${ }_{\text {b }}$ | - | 75.0\% ${ }_{\text {a }}$ |
|  |  |  |  | Records | $83.7 \%_{\text {a }}$ | - | 79.9\% ${ }_{\text {b }}$ | - | $83.2 \%$ a |
|  |  |  |  | Accuracy | 54.0\% ${ }_{\text {a }}$ | - | 52.4\%b | - | 53.5\% ${ }_{\text {ab }}$ |
| 18 | NBA | 828 | 30 | Odds | 78.4\% | - | 76.5\% | - | 78.2\% |
|  |  |  |  | Records | 83.7\% | - | 81.5\% | - | 82.4\% |
|  |  |  |  | Accuracy | 68.5\% | - | 67.2\% | - | 68.8\% |
| 19 | NHL | 518 | 31 | Odds | 69.7\% ${ }_{\text {a }}$ | - | 64.5\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | $79.4 \%$ a | - | 76.4\%b | - | - |
|  |  |  |  | Accuracy | 49.9\% | - | 50.8\% | - | - |

Note. Each row shows the average percentage of wise predictions made by participants in each condition for that experiment. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using between-subjects pairwise t -tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979). The percentages of wise predictions defined by records are not calculated for Experiment 12 because the FIFA teams in the World Cup did not have comparable win/loss records. Experiment 3 manipulated whether the Score + Winner condition was paid based on the accuracy of their score prediction or their winner prediction; the Score + Winner column collapses across these two conditions. Experiments 4, 8, and 10 included two Relevant + Winner conditions, a condition in which participants first predicted total runs and a condition in which participants first predicted each team's hits; the Relevant + Winner column collapses across these two conditions. The relevant predictions made in Experiments 5, 15, and 16 were total runs scored, free throws attempted by each team, and saves made by each team, respectively. Experiments 17 and 18 included two Irrelevant + Winner conditions, a condition in which participants predicted the temperature outside the indoor stadium at the start of the game and a condition where participants predicted the high temperature in the game city on July $4^{\text {th }} 2015$ (about 6 months after the game); the Irrelevant + Winner column collapses across these two conditions. The irrelevant predictions made in Experiments 5, 15 and 16 were total game time, temperature outside the stadium at game time, and percentage of U.S. citizens in the crowd, respectively. FIFA = Fédération Internationale de Football Association; MLB = Major League Baseball; NBA = National Basketball Association; NHL = National Hockey League.

Table A3 3. Prediction-Level Analyses. Experiments 1-19: The percentage of wise predictions made in each prediction condition for each experiment.

| $\begin{gathered} \text { Exp } \\ \# \end{gathered}$ | Sport <br> League | $\begin{gathered} \text { \# of } \\ \text { subjects } \end{gathered}$ | \# of games | Prediction Quality | Winner Only | Score Only | $\begin{gathered} \text { Score } \\ + \text { Winner } \end{gathered}$ | Relevant +Winner | Irrelevant +Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | MLB | 316 | 41 | Odds | $67.3 \%{ }_{\text {a }}$ | $61.4 \%_{\text {b }}$ | - | - | - |
|  |  |  |  | Records | 69.5\% ${ }_{\text {a }}$ | 65.1\%b | - | - | - |
|  |  |  |  | Accuracy | 53.5\% | 52.4\% | - | - | - |
| 2 | MLB | 508 | 39 | Odds | $73.3 \%{ }_{\text {a }}$ | 67.4\% ${ }_{\text {c }}$ | $69.8 \%$ b | - | - |
|  |  |  |  | Records | $78.8 \%$ a | 72.5\% ${ }_{\text {c }}$ | $75.0 \%$ b | - | - |
|  |  |  |  | Accuracy | 42.2\% ${ }_{\text {c }}$ | $46.4 \%_{\text {a }}$ | $44.3 \%_{\text {b }}$ | - | - |
| 3 | MLB | 635 | 45 | Odds | $63.4 \%_{\text {a }}$ | 57.6\% ${ }_{\text {c }}$ | $60.2 \%$ b | - | - |
|  |  |  |  | Records | $71.6 \%$ a | 65.3\% ${ }_{\text {b }}$ | $71.8 \%$ a | - | - |
|  |  |  |  | Accuracy | 52.7\% | 51.5\% | 51.1\% | - | - |
| 4 | MLB | 631 | 45 | Odds | $70.8 \%{ }_{\text {a }}$ | - | $66.6 \%{ }_{\text {b }}$ | $66.8 \%{ }_{\text {b }}$ | - |
|  |  |  |  | Records | $76.9 \%{ }_{\text {a }}$ | - | $72.2 \%_{\text {c }}$ | $74.0 \%{ }_{\text {b }}$ | - |
|  |  |  |  | Accuracy | $51.9 \%_{\text {a }}$ | - | $49.8 \%{ }_{\text {b }}$ | $50.0 \%_{\text {b }}$ | - |
| 5 | MLB | 634 | 42 | Odds | 60.2\% | - | 58.8\% | 58.8\% | 60.2\% |
|  |  |  |  | Records | $78.9 \%$ a | - | $76.8 \%$ b | $79.2 \%_{\text {a }}$ | $78.9 \%$ a |
|  |  |  |  | Accuracy | 49.2\% | - | 48.5\% | 48.8\% | 48.3\% |
| 6 | NHL | 309 | 29 | Odds | $53.5 \%$ a | - | 49.8\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 58.4\% ${ }_{\text {a }}$ | - | $55.4 \%$ b | - | - |
|  |  |  |  | Accuracy | $56.8 \%$ a | - | $54.3 \%_{\text {b }}$ | - | - |
| 7 | MLB | 337 | 45 | Odds | $56.6 \%$ a | - | $53.9 \%_{\text {b }}$ | - | - |
|  |  |  |  | Records | $73.1 \%_{\text {a }}$ | - | $70.4 \%_{\text {b }}$ | - | - |
|  |  |  |  | Accuracy | 47.2\% | - | 47.1\% | - | - |
| 8 | MLB | 625 | 44 | Odds | 56.8\% | - | 55.8\% | 56.0\% | - |
|  |  |  |  | Records | $73.6 \%$ a | - | $71.2 \%_{\text {b }}$ | 71.5\% ${ }_{\text {b }}$ | - |
|  |  |  |  | Accuracy | 51.8\% | - | 51.6\% | 51.1\% | - |
| 9 | MLB | 422 | 41 | Odds | 60.9\% | - | 59.8\% | - | - |
|  |  |  |  | Records | 73.4\% | - | 74.1\% | - | - |
|  |  |  |  | Accuracy | 44.4\% | - | 45.8\% | - | - |
| 10 | MLB | 728 | 45 | Odds | 59.4\% | - | 58.6\% | 58.6\% | - |
|  |  |  |  | Records | $77.4 \%$ a | - | $75.2 \%_{\text {b }}$ | $76.2 \%$ ab | - |
|  |  |  |  | Accuracy | 54.5\% | - | 54.8\% | 54.8\% | - |
| 11 | MLB | 525 | 42 | Odds | $63.4 \%_{\text {a }}$ | - | $61.8 \%{ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | 71.6\% | - | 70.5\% | - | - |
|  |  |  |  | Accuracy | 46.6\% | - | 46.8\% | - | - |

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| $\begin{gathered} \operatorname{Exp} \\ \# \\ \hline \end{gathered}$ | Sport <br> League | $\begin{gathered} \text { \# of } \\ \text { subjects } \\ \hline \end{gathered}$ | \# of games | Prediction Quality | Winner Only | Score Only | $\begin{gathered} \text { Score } \\ + \text { Winner } \\ \hline \end{gathered}$ | Relevant +Winner | Irrelevant +Winner |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 12 | FIFA | 622 | 48 | Odds | $61.2 \%_{\text {a }}$ | - | $57.8 \%$ b | - | - |
|  |  |  |  | Records | - | - | - | - | - |
|  |  |  |  | Accuracy | 49.7\% ${ }_{\text {a }}$ | - | 48.4\% ${ }_{\text {b }}$ | - | - |
| 13 | NBA | 420 | 32 | Odds | 70.3\% | - | 70.9\% | - | - |
|  |  |  |  | Records | 79.1\% | - | 77.8\% | - | - |
|  |  |  |  | Accuracy | 62.1\% | - | 61.6\% | - | - |
| 14 | NHL | 541 | 32 | Odds | 70.0\% | - | 70.8\% | - | - |
|  |  |  |  | Records | 82.0\% | - | 81.4\% | - | - |
|  |  |  |  | Accuracy | 55.4\% | - | 56.0\% | - | - |
| 15 | NBA | 775 | 32 | Odds | 74.1\% | - | 72.9\% | 72.4\% | 72.6\% |
|  |  |  |  | Records | $86.2 \%$ a | - | $84.6 \%$ ab | $83.7 \%_{\text {b }}$ | 83.4\% ${ }_{\text {b }}$ |
|  |  |  |  | Accuracy | 60.2\% | - | 60.8\% | 60.3\% | 59.5\% |
| 16 | NHL | 711 | 30 | Odds | 73.3\% | - | 72.4\% | 71.4\% | 73.0\% |
|  |  |  |  | Records | 81.6\% ${ }_{\text {a }}$ | - | 80.6\% ${ }_{\text {ab }}$ | 78.0\% ${ }_{\text {c }}$ | $79.2 \%_{\text {bc }}$ |
|  |  |  |  | Accuracy | 55.2\% | - | 54.6\% | 54.4\% | 55.8\% |
| 17 | NHL | 811 | 31 | Odds | $74.8 \%{ }_{\text {a }}$ | - | $70.8 \%{ }_{\text {b }}$ | - | $75.1 \%_{\text {a }}$ |
|  |  |  |  | Records | $83.6 \%$ a | - | $80.3 \%{ }_{\text {b }}$ | - | $83.4 \%_{\text {a }}$ |
|  |  |  |  | Accuracy | 53.8\% | - | 52.6\% | - | 53.4\% |
| 18 | NBA | 828 | 30 | Odds | $78.4 \%{ }_{\text {a }}$ | - | $76.5 \%$ b | - | $78.3 \%_{\text {a }}$ |
|  |  |  |  | Records | $83.7 \%_{\text {a }}$ | - | $81.5 \%$ b | - | $82.6 \%$ ab |
|  |  |  |  | Accuracy | 68.5\% | - | 67.2\% | - | 68.8\% |
| 19 | NHL | 518 | 31 | Odds | $69.7 \%_{\text {a }}$ | - | $65.4 \%{ }_{\text {b }}$ | - | - |
|  |  |  |  | Records | $79.4 \%$ a | - | 77.2\% ${ }_{\text {b }}$ | - | - |
|  |  |  |  | Accuracy | 50.0\% | - | 50.3\% | - | - |

Note. Each row shows the percentage of wise predictions made in each prediction condition for that experiment. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using pairwise proportion tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979). The percentages of wise predictions defined by records are not calculated for Experiment 12 because the FIFA teams in the World Cup did not have comparable win/loss records. Experiment 3 manipulated whether the Score + Winner condition was paid based on the accuracy of their score prediction or their winner prediction; the Score + Winner column collapses across these two conditions. Experiments 4, 8, and 10 included two Relevant + Winner conditions, a condition in which participants first predicted total runs and a condition in which participants first predicted each team's hits; the Relevant + Winner column collapses across these two conditions. The relevant predictions made in Experiments 5, 15, and 16 were total runs scored, free throws attempted by each team, and saves made by each team, respectively. Experiments 17 and 18 included two Irrelevant + Winner conditions, a condition in which participants predicted the temperature outside the indoor stadium at the start of the game and a condition where participants predicted the high temperature in the game city on July $4^{\text {th }} 2015$ (about 6 months after the game); the Irrelevant + Winner column collapses across these two conditions. The irrelevant predictions made in Experiments 5, 15 and 16 were total game time, temperature outside the stadium at game time, and percentage of U.S. citizens in the crowd, respectively. FIFA = Fédération Internationale de Football Association; MLB = Major League Baseball; NBA = National Basketball Association; NHL = National Hockey League.

## Does predicting scores make winner predictions worse?

The tables in this section report alternative analyses for the result reported in the main text that predicting scores in addition to predicting winning teams yields worse winning team predictions than only predicting winning teams.

Table A3 4. Game-Level Analyses. Experiments 2-19: The average percentage of participants making wise predictions in the Winner and Score + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner |
| :---: | :---: | :---: |
| Odds | $65.4 \%_{\mathrm{a}}$ | $63.3 \%_{\mathrm{b}}$ |
| Records | $75.9 \%_{\mathrm{a}}$ | $74.2 \%_{\mathrm{b}}$ |
| Accuracy | $52.3 \%$ | $51.9 \%$ |

Note. Each row shows the average percentage of participants making wise predictions in each condition across all games in all experiments that included a Score + Winner condition. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

Table A3 5. Participant-Level Analyses. Experiments 2-19: The average percentage of wise predictions made by participants in the Winner and Score + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner |
| :---: | :---: | :---: |
| Odds | $67.1 \%_{\mathrm{a}}$ | $64.9 \%_{\mathrm{b}}$ |
| Records | $77.4 \%_{\mathrm{a}}$ | $75.8 \%_{\mathrm{b}}$ |
| Accuracy | $53.7 \%$ | $53.4 \%$ |

Note. Each row shows the average percentage of wise predictions made by participants in each condition across all games in all experiments that included a Score + Winner condition. To account for both observed and unobserved differences between experiments, the means for each condition are mean-centered by experiment and added to the overall average across all experiments and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using between-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

Table A3 6. Prediction-Level Analyses. Experiments 2-19: The percentage of wise predictions made in the Winner and Score + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner |
| :---: | :---: | :---: |
| Odds | $66.2 \%_{\mathrm{a}}$ | $64.1 \%_{\mathrm{b}}$ |
| Records | $76.8 \%_{\mathrm{a}}$ | $75.4 \%_{\mathrm{b}}$ |
| Accuracy | $53.1 \%_{\mathrm{a}}$ | $52.7 \%_{\mathrm{b}}$ |

Note. Each row shows the percentage wise predictions made in each condition across all games in all experiments that included a Score + Winner condition. To account for both observed and unobserved differences between games, the means for each condition are mean-centered by game and added to the overall average across all games and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

## Does predicting other event details make predictions worse?

The tables in this section report alternative analyses for the data presented in Figure 3 in the main text showing that making other kinds of detailed predictions that are relevant to the game also negatively affected prediction quality.

Table A3 7. Game-Level Analyses. Experiments 4, 5, 8, 10, 15, and 16: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Relevant + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner | Relevant + Winner |
| :---: | :---: | :---: | :---: |
| Odds | $64.9 \%_{\mathrm{a}}$ | $63.2 \%_{\mathrm{b}}$ | $63.1 \%_{\mathrm{b}}$ |
| Records | $78.6 \%_{\mathrm{a}}$ | $76.1 \%_{\mathrm{b}}$ | $6.6 \%_{\mathrm{b}}$ |
| Accuracy | $53.4 \%$ | $52.9 \%$ | $52.8 \%$ |

Note. Each row shows the average percentage of participants making wise predictions in each condition across all games in all experiments that included a Relevant + Winner condition. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

Relevant + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner | Relevant + Winner |
| :---: | :---: | :---: | :---: |
| Odds | $66.0 \%_{\mathrm{a}}$ | $64.5 \%_{\mathrm{b}}$ | $64.4 \%_{\mathrm{b}}$ |
| Records | $79.4 \%_{\mathrm{a}}$ | $77.1 \%_{\mathrm{b}}$ | $77.4 \%_{\mathrm{b}}$ |
| Accuracy | $54.1 \%$ | $53.7 \%$ | $53.5 \%$ |

Note. Each row shows the average percentage of wise predictions made by participants in each condition across all games in all experiments that included a Relevant + Winner condition. To account for both observed and unobserved differences between experiments, the means for each condition are meancentered by experiment and added to the overall average across all experiments and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using between-subjects pairwise t-tests and the HolmBonferroni correction for multiple comparisons (Holm, 1979).

Table A3 9. Prediction-Level Analyses. Experiments 4, 5, 8, 10, 15, and 16: The percentage of wise predictions made in the Winner, Score + Winner, and Relevant + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner | Relevant + Winner |
| :---: | :---: | :---: | :---: |
| Odds | $65.2 \%_{\mathrm{a}}$ | $63.6 \%_{\mathrm{b}}$ | $63.5 \%_{\mathrm{b}}$ |
| Records | $78.8 \%_{\mathrm{a}}$ | $76.4 \%_{\mathrm{c}}$ | $76.9 \%_{\mathrm{b}}$ |
| Accuracy | $53.7 \%$ | $53.2 \%$ | $53.1 \%$ |

Note. Each row shows the percentage of wise predictions made in each condition across all games in all experiments that included a Relevant + Winner condition. To account for both observed and unobserved differences between games, the means for each condition are mean-centered by game and added to the overall average across all games and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

## Are predictions worse because people pay less attention?

The tables in this section report alternative analyses for the data presented in Figure 4 in the main text showing that making detailed prediction that are irrelevant to the game did not affect prediction quality.

Table A3 10. Game-Level Analyses. Experiments 5 and 15-18: The average percentage of participants making wise predictions in the Winner, Score + Winner, and Irrelevant + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner | Irrelevant + Winner |
| :---: | :---: | :---: | :---: |
| Odds | $71.2 \%_{\mathrm{a}}$ | $69.4 \%_{\mathrm{b}}$ | $71.0 \%_{\mathrm{a}}$ |
| Records | $82.6 \%_{\mathrm{a}}$ | $80.6 \%{ }_{\mathrm{b}}$ | $81.4 \%_{\mathrm{b}}$ |
| Accuracy | $56.8 \%$ | $56.1 \%$ | $56.5 \%$ |

Note. Each row shows the average percentage of participants making wise predictions in each condition across all games in all experiments that included an Irrelevant + Winner condition. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

Table A3 11. Participant-Level Analyses. Experiments 5 and 15-18: The average percentage of wise predictions made by participants in the Winner, Score + Winner, and Irrelevant + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner | Irrelevant + Winner |
| :---: | :---: | :---: | :---: |
| Odds | $72.7 \%_{\mathrm{a}}$ | $70.6 \%{ }_{\mathrm{b}}$ | $72.4 \%_{\mathrm{a}}$ |
| Records | $83.0 \%_{\mathrm{a}}$ | $80.9 \%_{\mathrm{b}}$ | $81.6 \%_{\mathrm{b}}$ |
| Accuracy | $57.9 \%$ | $57.2 \%$ | $57.8 \%$ |

Note. Each row shows the average percentage of wise predictions made by participants in each condition across all games in all experiments that included an Irrelevant + Winner condition. To account for both observed and unobserved differences between experiments, the means for each condition are meancentered by experiment and added to the overall average across all experiments and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using between-subjects pairwise t-tests and the HolmBonferroni correction for multiple comparisons (Holm, 1979).

Table A3 12. Prediction-Level Analyses. Experiments 5 and 15-18: The percentage of wise predictions made in the Winner, Score + Winner, and Irrelevant + Winner conditions.

| Prediction Quality | Winner Only | Score + Winner | Irrelevant + Winner |
| :---: | :---: | :---: | :---: |
| Odds | $71.9 \%_{\mathrm{a}}$ | $70.0 \%_{\mathrm{b}}$ | $71.7 \%_{\mathrm{a}}$ |
| Records | $82.8 \%_{\mathrm{a}}$ | $80.8 \%_{\mathrm{c}}$ | $81.7 \%_{\mathrm{b}}$ |
| Accuracy | $57.4 \%$ | $56.7 \%$ | $57.2 \%$ |

Note. Each row shows the percentage of making wise predictions made in each condition across all games in all experiments that included an Irrelevant + Winner condition. To account for both observed and unobserved differences between games, the means for each condition are mean-centered by game and added to the overall average across all games and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p$ < . 05 using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

## Are predictions worse because people think harder?

The tables in this section report alternative analyses for the data presented in Figure 5 in the main text showing that incentivizing people to think harder about their predictions did not negatively affect winning team prediction quality, although having them predict scores did.

Table A3 13. Game-Level Analyses. Experiments 13, 14, and 19: The average percentage of participants making wise predictions in the Winner and Score + Winner conditions for low- versus high-incentives.

| Prediction <br> Quality | Winner Only <br> low incentive | Winner Only <br> high incentive | Score + Winner <br> low incentive | Score + Winner <br> high incentive |
| :---: | :---: | :---: | :---: | :---: |
| Odds | $70.1 \%_{\mathrm{a}}$ | $70.0 \%_{\mathrm{ab}}$ | $68.7 \%_{\mathrm{c}}$ | $69.2 \%_{\mathrm{bc}}$ |
| Records | $79.2 \%_{\mathrm{b}}$ | $80.7 \%_{\mathrm{a}}$ | $77.7 \%_{\mathrm{c}}$ | $79.3 \%_{\mathrm{b}}$ |
| Accuracy | $55.9 \%_{\mathrm{ab}}$ | $56.0 \%_{\mathrm{ab}}$ | $56.4 \%_{\mathrm{a}}$ | $55.5 \%_{\mathrm{b}}$ |

Note. Each row shows the average percentage of participants making wise predictions in each condition across all games in all experiments that varied incentives for accuracy within-subjects. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the HolmBonferroni correction for multiple comparisons (Holm, 1979).

Table A3 14. Participant-Level Analyses. Experiments 13, 14, and 19: The average percentage of wise predictions made by participants in the Winner and Score + Winner conditions for low- versus high-incentives.

| Prediction <br> Quality | Winner Only <br> low incentive | Winner Only <br> high incentive | Score + Winner <br> low incentive | Score + Winner <br> high incentive |
| :---: | :---: | :---: | :---: | :---: |
| Odds | $70.0 \%$ | $69.7 \%$ | $68.5 \%$ | $68.7 \%$ |
| Records | $79.4 \%$ | $80.8 \%$ | $78.0 \%$ | $79.4 \%$ |
| Accuracy | $55.3 \%$ | $55.3 \%$ | $56.0 \%$ | $55.1 \%$ |

Note. Each row shows the average percentage of wise predictions made by participants in each condition across all games in all experiments that varied incentives for accuracy within-subjects. To account for both observed and unobserved differences between experiments, the means for each condition are meancentered by experiment and added to the overall average across all experiments and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using between-subjects pairwise t-tests and the HolmBonferroni correction for multiple comparisons (Holm, 1979).

Table A3 15. Prediction-Level Analyses. Experiments 13, 14, and 19: The percentage of wise predictions made in the Winner and Score + Winner conditions for low- versus high-incentives.

| Prediction <br> Quality | Winner <br> low incentive | Winner <br> high incentive | Score + Winner <br> low incentive | Score + Winner <br> high incentive |
| :---: | :---: | :---: | :---: | :---: |
| Odds | $70.0 \%$ | $69.9 \%$ | $68.8 \%$ | $69.0 \%$ |
| Records | $79.5 \%_{\mathrm{b}}$ | $81.0 \%_{\mathrm{a}}$ | $78.2 \%_{\mathrm{c}}$ | $79.7 \%_{\mathrm{b}}$ |
| Accuracy | $55.4 \%$ | $55.6 \%$ | $56.0 \%$ | $55.3 \%$ |

Note. Each row shows the percentage of making wise predictions made in each condition across all games in all experiments that varied incentives for accuracy within-subjects. To account for both observed and unobserved differences between games, the means for each condition are mean-centered by game and added to the overall average across all games and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p$ $<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

## Are predictions worse because people think less globally or more locally?

Only a single measure of overall global and local considerations was collected per person, so these results cannot be analyzed at the game-level or prediction-level.

## Do people who make detailed predictions use useful information less?

The tables in this section report alternative analyses for the data presented in Tables 2 and 3 in the main text showing the weights given to win/loss records and home field in winning team predictions.

Table A3 16. Game-Level Analyses. Experiments 1-5, 7-11, and 13-19: The change in the percentage of participants in the Winner condition choosing the team to win based on win/loss records and home field advantage.

| Coefficients | Winner Only |
| :--- | ---: |
| better record | $0.355^{* * *}$ |
| home team | $0.125 \quad * * *$ |
| $\mid$ record difference \| | $-0.587^{* * *}$ |
| better record $* \mid$ record difference \| | $1.565 \quad * * *$ |
| home team ${ }^{*} \mid$ record difference \| | $-0.451 \quad * * *$ |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001$. Weights are estimated using Ordinary Least Squares regression. Because each game generates two observations (one for each team) standard errors are clustered by game.

Table A3 17. Participant-Level Analyses. Experiments 1-5, 7-11, and 13-19: The average weights participants in the Winner condition gave to win/loss records and home field advantage.

| Coefficients | Winner Only |
| :--- | ---: |
| better record | $0.170 \quad * * *$ |
| home team | $0.136 \quad * * *$ |
| $\mid$ record difference \| | $-3.302 \quad * * *$ |
| better record ${ }^{*} \mid$ record difference \| | $2.522^{* * *}$ |
| home team ${ }^{*} \mid$ record difference \| | $-1.172 \quad * * *$ |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001$. Average marginal weights are estimated by using logistic regressions to estimate marginal weights for each participant in each experiment and averaging marginal weights across participants within conditions. Because each participant generates two observations per prediction (one for each team) standard errors for each participant's weights are clustered by participantgame.

Table A3 18. Prediction-Level Analyses. Experiments 1-5, 7-11, and 13-19: The weights given to win/loss records and home field advantage in the Winner condition.

| Coefficients | Winner Only |
| :--- | ---: | :--- |
| better record | $0.265 \quad * * *$ |
| home team | $0.153 \quad * * *$ |
| $\mid$ record difference \| | $-1.544^{* * *}$ |
| better record ${ }^{*} \mid$ record difference \| | $3.418 \quad * * *$ |
| home team ${ }^{*} \mid$ record difference \| | $-0.448 \quad * * *$ |

Note. *p<.05, ** $p<.01$, *** $p<.001$. Marginal weights are estimated using logistic regression. Because each prediction generates two observations (one for each team) standard errors are clustered by experiment-participant-game.

Table A3 19. Game-Level Analyses. Experiments 1-5, 7-11, and 13-19: Differences from the Winner condition in the change in the percentage of participants choosing the team to win based on win/loss records and home field advantage.

| Coefficients | Score ${ }^{\dagger}$ |  | Relevant |  | Irrelevant |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| better record | -0.058 | *** | -0.029 | *** | -0.002 |  |
| home team | -0.073 | *** | -0.053 | *** | 0.032 | ** |
| \| record difference | | -0.104 | *** | -0.034 |  | 0.064 | *** |
| better record * \| record difference | | 0.036 |  | -0.112 | ** | -0.132 | *** |
| home team * \| record difference | | 0.181 | *** | 0.188 | *** | 0.004 |  |
| Number of participants in sample | 5,537 |  | 1,958 |  | 1,541 |  |
| Number of games in sample | 644 |  | 235 |  | 162 |  |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001$. ${ }^{\dagger}$ Score includes all conditions where participants predicted the final score. Weights are estimated using Ordinary Least Squares regression. Because each game generates two observations (one for each team) standard errors are clustered by game.

Table A3 20. Participant-Level Analyses. Experiments 1-5, 7-11, and 13-19: Differences from the Winner condition in the average weights given to win/loss records and home field advantage.

| Coefficients | Score $^{\dagger}$ | Relevant | Irrelevant |
| :--- | :---: | :---: | :---: |
| better record | $-0.058 \quad * * *$ | -0.020 | 0.035 |
| home team | $-0.116 \quad * * *$ | $-0.079 \quad * * *$ | 0.037 |
| $\mid$ record difference \| | 0.149 | 0.237 | -0.033 |
| better record ${ }^{*} \mid$ record difference $\mid$ | $-0.677 \quad * *$ | -0.513 | -0.419 |
| home team ${ }^{*} \mid$ record difference \| | $0.381 \quad * * *$ | 0.036 | 0.448 |
| Number of participants in sample | 5,537 | 1,958 | 1,541 |
| Number of games in sample | 644 | 235 | 162 |

Note. ${ }^{*} p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001 .^{\dagger}$ Score includes all conditions where participants predicted the final score. Average marginal weights are estimated by using logistic regressions to estimate marginal weights for each participant in each experiment and averaging marginal weights across participants within conditions. Because each participant generates two observations per prediction (one for each team) standard errors for each participant's weights are clustered by participant-game.

Table A3 21. Prediction-Level Analyses. Experiments 1-5, 7-11, and 13-19: Differences from the Winner condition in the weights given to win/loss records and home field advantage.

| Coefficients | Score $^{\dagger}$ | Relevant | Irrelevant |  |  |
| :--- | :---: | :--- | :---: | :---: | :--- |
| better record | -0.068 | $* * *$ | -0.018 | 0.037 | $*$ |
| home team | -0.120 | $* * *$ | -0.077 | $* * *$ | 0.056 |$\quad * *$

Note. * $p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001 .{ }^{\top}$ Score includes all conditions where participants predicted the final score. Marginal weights are estimated using logistic regression. Because each prediction generates two observations (one for each team) standard errors are clustered by experiment-participant-game.

## Which games will show the effect?

The tables in this section report alternative analyses for the data presented in Figure 8 in the main text showing that making relevant detailed predictions had a considerably larger negative effect on prediction quality when both cues agreed (the home team had the better record) than when they disagreed (the visiting team had the better record).

Table A3 22. Game-Level Analyses. Experiments 1-19: The percentage of participants making wise predictions by prediction condition and which team had the better record.

|  | Visiting Team Has Better Record |  | Home Team Has Better Record |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Prediction | Winner \& | Score \& | Winner \& |  |
| Quality | Irrelevant | Relevant | Irrelevant | Relevant |
| Odds | $55.5 \%_{c}$ | $54.7 \%_{d}$ | $79.0 \%_{a}$ | $74.6 \%_{\mathrm{b}}$ |
| Records | $72.4 \%_{c}$ | $72.8 \%_{c}$ | $81.4 \%_{\mathrm{c}}$ | $76.4 \%_{\mathrm{b}}$ |
| Accuracy | $51.3 \%$ | $51.2 \%$ | $54.4 \%$ | $54.0 \%$ |

Note. Each row shows the average percentage of participants making wise predictions in each condition across all games in all experiments. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

Table A3 23. Participant-Level Analyses. Experiments 1-19: The average percentage of wise predictions made by participants by prediction condition and which team had the better record.

|  | Visiting Team Has Better Record |  | Home Team Has Better Record |  |
| :---: | :---: | :---: | :---: | :---: |
| Prediction | Winner \& | Score \& | Winner \& |  |
| Quality | Irrelevant | Relevant | Irrelevant | Relevant |
| Odds | $55.5 \%_{c}$ | $54.8 \%_{d}$ | $78.2 \%_{a}$ | $74.2 \%_{\mathrm{a}}$ |
| Records | $73.1 \%_{\mathrm{c}}$ | $73.6 \%_{\mathrm{c}}$ | $80.7 \%_{\mathrm{a}}$ | $75.9 \%_{\mathrm{b}}$ |
| Accuracy | $51.2 \%$ | $51.2 \%$ | $54.0 \%$ | $53.7 \%$ |

$\overline{\text { Note. Each row shows the average percentage of wise predictions made by participants in each condition }}$ across all games in all experiments. To account for both observed and unobserved differences between experiments, the means for each condition are mean-centered by experiment and added to the overall average across all experiments and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using between-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

Table A3 24. Prediction-Level Analyses. Experiments 1-19: The percentage of wise predictions made by prediction condition and which team had the better record.

|  | Visiting Team Has Better Record |  | Home Team Has Better Record |  |
| :---: | :---: | :---: | :---: | :---: |
| Prediction | Winner \& | Score \& | Winner \& |  |
| Quality | Irrelevant | Relevant | Irrelevant | Relevant |
| Odds | $55.5 \%_{c}$ | $54.8 \%_{d}$ | $79.3 \%_{a}$ | $75.8 \%_{\mathrm{a}}$ |
| Records | $73.0 \%_{\mathrm{c}}$ | $73.4 \%_{\mathrm{c}}$ | $81.6 \%_{\mathrm{a}}$ | $77.4 \%_{\mathrm{b}}$ |
| Accuracy | $51.1 \%$ | $51.1 \%$ | $55.5 \%$ | $55.1 \%$ |

Note. Each row shows the percentage of making wise predictions made in each condition across all games in all experiments. To account for both observed and unobserved differences between games, the means for each condition are mean-centered by game and added to the overall average across all games and conditions. "Odds" indicates wise predictions defined as choosing the team favored by betting markets, "Records" indicates wise predictions defined as choosing the team that had won a greater percentage of games, and "Accuracy" indicates wise predictions defined as choosing the team that actually won the game. Within each row, means with different subscripts differ at $p<.05$ using within-subjects pairwise t-tests and the Holm-Bonferroni correction for multiple comparisons (Holm, 1979).

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[^0]:    ${ }^{1}$ Yoon et al. (2013) refer to score predictions as "specific" predictions rather than "detailed" predictions.

[^1]:    ${ }^{2}$ It should also be noted that people often overestimate the value of redundant information for forecasting and thus give redundant information too much weight in their predictions (Kahneman \& Tversky, 1973; Slovic, 1966; Soll, 1999).

[^2]:    ${ }^{3}$ We did not screen out participants who had participated in previous prediction studies because each new study required predictions about novel games, and we did not believe that participants needed to be blind to different conditions for the effect to occur. Furthermore, carryover effects between studies would lower the likelihood of finding significant differences between prediction conditions. Across our sample, 57.2\% of participants had not previously participated in a prediction experiment.
    ${ }^{4}$ The age calculations exclude five participants who reported ages less than 18 and seven who reported ages greater than 100 .
    ${ }^{5}$ The complete survey designs for each experiment are reported in Appendix A1.

[^3]:    ${ }^{6}$ Because Major League Baseball games, National Basketball Association games, and National Hockey League games cannot end in a draw, we did not allow participants to enter tied scores or select a tied game for these games ( 676 out of 724 in our sample). Because soccer games can end in a draw, we allowed participants to enter tied scores and select "Draw" for the 48 FIFA soccer games in our sample (Experiment 12).

[^4]:    ${ }^{7}$ In every experiment except one (Experiment 2), participants in the Score + Winner condition predicted the score before predicting the game’s winner. In Experiment 2, they predicted the score after predicting the game's winner.

[^5]:    ${ }^{8}$ Our payment amounts differed slightly from Yoon et al.'s, who paid 10 cents for each correct winning team prediction and 40 cents for each correct final score prediction.

[^6]:    ${ }^{9}$ Because Experiment 12 investigated FIFA World Cup matches that all took place in Brazil, only one team (Brazil's national team) out of 32 could be considered the "home" team. Thus, in this experiment, neither team was designated as "home" or "visiting".
    ${ }^{10}$ We also ran 8 additional experiments in which we gave participants each team's "Points Scored" (the total number of points scored by that team so far that season) and "Points Allowed" (the total number of points scored against that team so far that season) for football and hockey games, and each team's "Average Points Scored" (the average number of points scored by that team per game so far that season) and "Average Points Allowed" (the average number of points scored against that team per game so far that season) for basketball games. However, we chose not to include these experiments in our analyses because we are worried that differences between prediction conditions in these studies (namely, between Winner and Score + Winner) may have arisen because people who are asked about winners only look at the win/loss records and people who are asked about scores only look at the points scored or average points scored records. It should be noted that the effects we report are stronger when we include the data from these 8 experiments. The designs of these experiments included in Appendix A1.

[^7]:    ${ }^{11}$ Experiment 6 also had two conditions in which participants were given team records (wins, losses, points scored, and points allowed) and two conditions in which participants were not given any records. For the reasons stated in the previous footnote, only the two conditions that did not give record information are included in the analyses presented here. However, we found the same detrimental effect of predicting the score in both the conditions with records, $t(27)=2.29, p=.030$, and without records, $t(27)=3.16, p=.004$. ${ }^{12}$ We could have also defined a wise prediction as a prediction in favor of the team with the superior win/loss record. However, there are other important game attributes other than win/loss records that significantly affect the probability that a team will win. For example, one of the notable differences between predictions based on win/loss records and market odds is that sports betting markets take home field advantage-which is known to affect game outcomes-into account. For this reason, using market odds is the superior method of defining wise predictions. Indeed, the market odds are more correlated with actual game outcomes ( $\mathrm{r}(699$ ) $=0.21, p<.001$ ) than records alone ( $r(699)=0.13, p<.001$ ). However, the patterns of results are largely consistent between the two specifications of wise predictions, and we report the results of the main analyses defining wise predictions as choosing the team with the better win/loss record in Appendix A3.

[^8]:    ${ }^{13}$ In fact, across all 724 games in our dataset, we find no significant effects of predicting scores on winning team prediction accuracy. Thus, although we replicate Yoon et al.’s (2013) main result using a good measure of prediction quality, we do not replicate their result using the measure of prediction quality that they used.
    ${ }^{14}$ We report the results of our main analyses using accuracy as the dependent measure in Appendix A3.

[^9]:    ${ }^{15}$ In experiments 6-19, we also had participants self-report "How closely do you follow [sport league]?" and "How knowledgeable are you about [sport league]?" on scales from 1 ("not at all" / "not at all knowledgeable") to 7 ("extremely closely" / "extremely knowledgeable"). However, the percentage of wise predictions participants made was more strongly correlated with the number of knowledge questions they answered correctly $(r(10369)=0.22, p<.001)$ than it was with either their self-reported sports following or self-reported sports knowledge (both $r s(7783)=0.15$, $p s<.001$ ), so we use their knowledge question scores as the main measure of knowledge in our analyses. The measured knowledge questions always came after the self-reported knowledge questions in all experiments that included both.

[^10]:    ${ }^{16}$ For 15 of the 724 games in our sample, oddsmakers assigned an equal probability of winning to both teams, and so there was no "likely winner" for these games. Thus, data from these 15 games are excluded from all analyses that hinge on using betting market odds to identify a likely winner.
    ${ }^{17}$ For experiments containing both Score Only and Score + Winner conditions (Experiments 2 and 3), this analysis and the data reported in Figure 2 collapse these conditions into a single Score condition.
    ${ }^{18}$ For a paired-samples t-test, Cohen's d is computed by dividing the mean difference by the standard deviation of the difference. In this analysis, the standard deviation of the difference was $5.5 \%$ and so Cohen's d is (.655-. 633 )/. $055=.45$.

[^11]:    ${ }^{19}$ Respectively, the separate t-tests for baseball, basketball, hockey, and soccer were: $t(421)=9.45, p$ $<.001 ; t(92)=1.92, p=.058 ; t(146)=5.74, p<.001 ; t(46)=5.38, p<.001$.

[^12]:    ${ }^{20}$ Also, it is commonplace in sports betting for people to bet on whether the combined number of points scored by both teams will fall above or below a pre-specified total called the "over/under".
    ${ }^{21}$ Three of these experiments ( 4,8 , and 10 ) included two conditions asking participants to predict a relevant detail (other than the score) before predicting the winner. Specifically, in these experiments participants predicted either the number of hits each of two baseball teams would accrue (Hits + Winner condition) or the total number of runs that would be scored in the game (Runs + Winner condition). The analysis reported in the text averages across these two conditions. However, the results remain significant if we run the analyses using only the Runs + Winner condition from these three experiments, $t(231)=5.70$, $p$ $<.001$, or using only the Hits + Winner condition from these three experiments, , $t(231)=4.39, p<.001$.

[^13]:    ${ }^{22}$ Two of these experiments (17 and 18) included two conditions asking participants to predict a irrelevant detail before predicting the winner. Specifically, in these experiments participants predicted either the temperature outside the arena at the time and location of the game (Temperature + Winner condition) or the temperature in the game city on July $4^{\text {th }} 2015$ (July $4^{\text {th }}+$ Winner condition). The analysis reported in the text averages across these two conditions. However, the results remain qualitatively identical if we run the analyses using only the Temperature + Winner condition from these two experiments (Winner vs. Irrelevant: $t(161)=1.14, p=.26$; Score vs. Irrelevant: $t(161)=3.44, p<.001)$ or using only the July $4^{\text {th }}+$ Winner condition from these two experiments (Winner vs. Irrelevant: $t(161)=0.47, p=.64$; Score vs. Irrelevant: $t(161)=3.67, p<.001)$.

[^14]:    ${ }^{23}$ In Experiments 13 and 14, we first informed participants that they would be rewarded a 5 -cent bonus each time they correctly predicted the winning team. After making sixteen predictions, they reported "Overall, how carefully did you think about each game before making your winning team predictions?" and "Overall, how much effort did you invest in thinking about and making your predictions?" We then informed them that the amount of the bonus had been increased to 25 cents per correct winning team prediction for a remaining block of games. They then made predictions about an additional sixteen games and rated how carefully they thought about and how much effort they invested in making predictions for just those sixteen 25 -cent games. In Experiment 19, we informed participants at the outset that some games would be worth more than others. They then made all thirty low- and high-incentive predictions at once. The amount of the bonus ( 5 cents vs. 20 cents) was displayed prominently and alternated between games. After making all of their predictions, they rated how carefully they thought about and how much effort they invested in making their predictions separately for the 5 -cent games and the 20 -cent games.
    ${ }^{24}$ This wording is taken from Experiment 13 and 14. The wording of these questions was slightly different in Experiment 19, and is reported Appendix A2.

[^15]:    ${ }^{25}$ Analysis includes fixed effects for experiment.
    ${ }^{26}$ Dijksterhuis et al. (2009) found that the unconscious thought advantage was moderated by "expertise" as defined by above-median self-reported knowledge, such that only experts derived an advantage from unconscious thinking when they made predictions about soccer game outcomes. However, we found no such moderation of self-reported knowledge on the effect of thinking hard on average prediction quality, $b$ $=-0.19 \%, t(2798)=-1.27, p=.17$. Furthermore, amongst the 124 participants who reported the highest level of sports knowledge, thinking hard was marginally positively correlated with making a greater percentage of wise low- and high-incentive predictions, $r(246)=0.11, p<.10$.

[^16]:    ${ }^{27}$ These analyses do not include Experiments 6 and 12 because we did not provide win/loss record information for these experiments.
    ${ }^{28}$ Since we are analyzing how characteristics of teams affect participants' likelihood of predicting them to win, the data were recoded so that each team was a separate observation with whether the team was predicted to win as the dichotomous dependent variable and home team status and the teams' record information as predictor variables. This means that each prediction generated two observations: one for the chosen team and one for the unchosen team. To adjust for the fact that these team pairs contribute the same information, we clustered standard errors by participant-game.

[^17]:    ${ }^{29}$ The twelve games where the two teams had identical Win Percentages were dropped from this analysis because neither team had the better win/loss record.

[^18]:    We are researchers at the University of Pennsylvania and we are investigating your predictions of Major League Baseball games. In this survey, you will answer questions about baseball, as well as provide demographic and contact information. Please be assured that your responses will be kept completely confidential.

    The survey will take you approximately 10 to 15 minutes to complete, and you will be compensated $\$ 0.50$ by MTurk for your participation. You will also have the chance to earn bonus payment based on performance.

    Your participation in this research is voluntary. You have the right to withdraw at any point during the study, for any reason, and without prejudice.

    By clicking the forward button (>>), you acknowledge that your participation in the study is voluntary and that you are aware that you may choose to terminate your participation in the study at any time and for any reason without penalty.

    Please enter your MTurk ID in the box below. It is essential for us to have your MTurk ID to credit any bonuses you earn to your MTurk account. If you do not enter your correct MTurk ID, you will not receive bonus payment.

[^19]:    In this survey, you will predict the outcomes of the $\mathbf{2 6}$ National Hockey League games scheduled to be played on Thursday, February 6th through Saturday, February 8th.

    Specifically, for each game you will predict which team would win the most out of $\mathbf{1 0 1}$ games, the final score of the actual game, and which team will win the actual game.

[^20]:    * $p<.05,{ }^{* *} p<.01,{ }^{* * *} p<.001 .{ }^{\dagger}$ Score includes all conditions where participants predicted the score.

