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# Regular and Irregular Splashing of Drops on Geometric Targets

## Abstract

The effect of target cross-sectional geometry on drop splashing is investigated using surfaces with length scales comparable to the drop diameter. The target cross-sectional geometries are regular polygon shapes that vary from a triangle ( $n = 3$ ) to a decagon ( $n = 10$ ), where  $n$  is the number vertices. The impacting cross-sectional surface area of all targets is constrained to equal the cross-sectional area of the impacting drop which is  $6.38 \text{ mm}^2$ .

## Disciplines

Mechanical Engineering

## Comments

Juarez, G., Gastopoulos, T., Zhang, Y., Siegel, M. L., & Arratia, P. (2012). Regular and irregular splashing of drops on geometric targets. *Physics of Fluids*, 24(9), 091105. doi: [10.1063/1.4747159](https://doi.org/10.1063/1.4747159)

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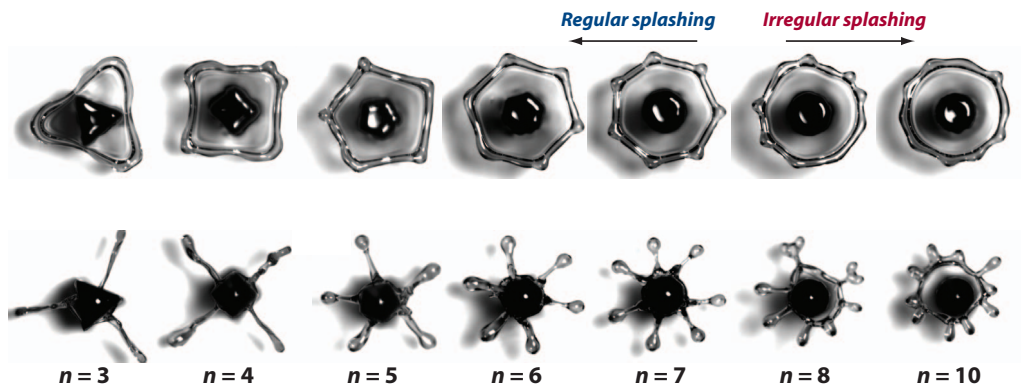


FIG. 1. Example snapshots, as seen from above, of the formation and subsequent breakup of liquid lamella into filaments. As the target cross section is varied from a triangle ( $n = 3$ ) up to a decagon ( $n = 10$ ), where  $n$  is the number of vertices, a transition from regular ( $3 \leq n < 8$ ) to irregular ( $n \geq 8$ ) splashing occurs. (Top row) At maximum expansion, for  $3 \leq n < 8$ , geometrically shaped lamella that are azimuthally rotated by  $\pi/n$  with respect to the target orientation are observed. For  $n \geq 8$ , the lamella shapes are independent of target cross section. (Bottom row) The breakup of lamella into filaments is controlled for  $3 \leq n < 8$ , as the number and location of filaments is equal to  $n$  and are spaced apart by  $\pi/n$ , respectively. Lamella breakup for  $n \geq 8$ , however, is irregular and independent of target cross section.

## Regular and irregular splashing of drops on geometric targets

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The effect of target cross-sectional geometry on drop splashing is investigated using surfaces with length scales comparable to the drop diameter. The target cross-sectional geometries are regular polygon shapes that vary from a triangle ( $n = 3$ ) to a decagon ( $n = 10$ ), where  $n$  is the number vertices. The impacting cross-sectional surface area of all targets is constrained to equal the cross-sectional area of the impacting drop which is  $6.38 \text{ mm}^2$ .

In our experiments, liquid drops with a diameter  $D$  of 2.85 mm fall from a height of 15 cm before colliding with the target surfaces. Drops impact the targets with a measured velocity  $U$  of 1.56 m/s. The liquid drops are a mixture of de-ionized water and glycerol and have a viscosity  $\mu$  of 10 cP and a surface tension  $\gamma$  of 35.3 dyn/cm. The resulting Reynolds number ( $\text{Re} = \rho DU/\mu$ ) is 550 and the Weber number ( $\text{We} = \rho DU^2/\gamma$ ) is 250. Images from above the targets are recorded using high-speed photography at 40 000 frames per second.

Figure 1 shows example snapshots from the top view of drops colliding with different geometric targets. As the target cross-sectional geometry is varied, we observe a transition from regular ( $3 \leq n < 8$ ) to irregular ( $n \geq 8$ ) splashing. The top row of Fig. 1 shows liquid lamella moments after impact as the outer rim reaches its maximum value during radial expansion. For  $3 \leq n < 8$ ,

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the observed lamella shapes are identical to the geometric target but are azimuthally rotated by  $\pi/n$  with respect to the target vertices. This is due to the azimuthal variation of viscous dissipation along the target surface. For  $n \geq 8$ , the lamella do not resemble geometric shapes and are independent of target cross section. The bottom row of Fig. 1 shows the subsequent breakup of liquid lamella into secondary filaments. For  $3 \leq n < 8$ , the geometrically shaped lamella undergo a regular breakup into  $n$  filaments that are azimuthally spaced apart by  $\pi/n$ . For  $n \geq 8$ , however, the lamella undergo an irregular breakup as the number and location of filaments is governed by the most unstable Plateau-Rayleigh mode rather than the target geometry.<sup>1</sup>

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<sup>1</sup>G. Juarez *et al.*, "Splash control of drop impacts with geometric targets," *Phys. Rev. E* **85**, 026319 (2012).