§25. Evaluation of Energy Confinement Time and Heating Efficiency in ICRF Heated Plasma

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The energy confinement time of the LHD plasma has been observed to be 1.5 times larger than the International Stellarator Scaling (ISS95)¹⁾. In the third cycle, ICRF modulation experiment was carried out to evaluate the energy confinement time, τ_E , in the diffrent method.

In this experiment, the radiated RF power from antenna, P_{ant} , was modulated in the following way,

$$P_{\text{ant}} = P_{0\text{ant}} + |P_{1\text{ant}}| \sin \omega t$$

where ω , P_{0ant} and P_{1ant} are modulation angular frequency, an average and a modulated RF power from antenna, respectively. Then the modulated plasma stored energy W_p is

$$W_p = W_{p0} + |W_{p1}|\sin(\omega t + \delta)$$

where δ , W_{p0} and W_{p1} are the phase difference in the wave forms between the P_{1ant} and the W_{p1} , an average and a modulated plasma stored energy, respectively. The absorbed power by the plasma, P_{abs} , is calculated to be ηP_{ant} by introducing the heating efficiency η . The τ_E is a function of the modulated frequency and δ etc. The heating efficiency η is calculated with W_{p1} , P_{1ant} , ω and δ etc.

We considered three models to analyze τ_E assuming different dependence of the energy confinement time on the various parameters such as the RF heating power and the plasma temperature, T; i.e. $(a)\tau_E = \text{const.}^{2)}$, $(b)\tau_E = AP_{abs}^{\alpha}$ and $(c)\tau_E = BT^{\beta}$. Assuming $W_{p1} \ll$ W_{p0} and $P_{1abs} \ll P_{0abs}$, we substitute three types of τ_E , $P_{1ant} = |P_{1ant}| \sin \omega t$ and $W_{p1} = |W_{p1}| \sin(\omega t + \delta)$ to the following equation,

$$\frac{dW_{p1}}{dt} = \eta P_{1\text{ant}} - \frac{W_{p1}}{\tau_E}$$

using of Fourier transformation and linear approximation, τ_E is calculated as shown on Table I, which shows calculation results of τ_E s and η s. Hereafter, τ_E and η calculated by modulation method are written with superscript M:i.e. τ_E^M and η^M .

To evaluate α , β in the case of model (b) and (c), we use the ISS95 scaling law¹⁾,

$$\tau_E^{\text{ISS95}} = 0.079 a^{2.21} R^{0.65} P^{-0.59} \overline{n_e^{0.51}} B_t^{0.83} (\iota/2\pi)_{2/3}^{0.4}$$

Then we assume $\alpha = -0.59$ and $\beta = -1.44$.

From experimental result (Fig.1), we calculated τ_E^M and η^M , and compared them with τ_E^P and η^P caluculated with usual method,

$$\begin{split} \eta^P &= \frac{(dW_p/dt)_{t_{\rm off}=0} - (dW_p/dt)_{t_{\rm off}=0}}{P_{\rm ant}} \\ \tau_E{}^P &= \frac{W_p}{\eta^P P_{\rm ant}} \quad (\text{at steady state, } dW_p/dt=0) \end{split}$$

Table II shows $\tau_E{}^M/\tau_E{}^P$ s and η^M/η^P s of each three models. It is found that $\tau_E{}^M$ s of any model (a)-(c) didn't have an agreement with $\tau_E{}^P$ but that η^M s of model (a) and (c) shows good agreement with η^P .

To have a good agreement with τ_E^P , changing β , τ_E^M of model (c) can be fixed. In this experiment, if we assume $\beta = -0.75$, τ_E^M has a good agreement with τ_E^P . In ISS95 the dependence of P on τ_E corresponds to $\tau_E \propto P^{-0.45}$.

In this shot, it turned out to be an effective method of τ_E to calculate it from the phase difference between W_p and P on power modulation experiment. And we also calculate η for another method. The model (c) shows a good agreement with actual τ_E and η . So τ_E should be explained as a function of temperature.

Table I: Three models of $\tau_E{}^M$ s and η^M s

model	$ au_E{}^M$	η^M
(a)	$\tan \delta$	$\omega_1 \sqrt{1 + \frac{1}{1 + \frac{ W_{p1} }{1 + \frac{1}{1 + $
	ω	$V = \tan^2 \delta P_{1ant} $
(b)	$ an \delta$	$\frac{1}{1+1} = \frac{1}{ W_{p1} }$
	ω	$\alpha + 1 \stackrel{\omega}{\bigvee} \stackrel{1}{\longrightarrow} \tan^2 \delta P_{1ant} $
(c)	$(1 - 2) \tan \delta$	$1 W_{p1} $
	$(1-b) - \frac{\omega}{\omega}$	$\omega \sqrt{1+\frac{1}{\tan^2 \delta}} \frac{1}{ P_{1ant} }$



Fig.1: Time evolutions of W_p and P_{ant} . Modulation frequency is 4Hz. (B = 2.75T, RF frequency= 38.47MHz)

Table II: Three models of $\tau_E{}^M/\tau_E{}^P$ s and η^M/η^P s in the case of $\alpha = -0.59$ and $\beta = -1.44$

model	$ au_E{}^M/ au_E{}^P$	η^M/η^P
(a)	~ 0.5	$\sim 1.0 (\mathrm{good})$
(b)	~ 0.5	~ 2.0
(c)	~ 1.4	$\sim 1.0(\text{good})$

Reference

1) U.Stroth, et al., Nucl. Fusion **36**, 1063(1996)

2) T.Shoji, et al., Institute of Plasma Physics Reserch Report, Nagoya, IPPJ-795(1986)