

## §26. Aspect Ratio Effect of He II-Channels on Heat Transport Characteristics

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The critical heat flux  $q_\lambda$  (W / wetted surface area) at which superfluidity is broken at the center of the channel length with a heat source distributed along the inner wall (see Fig.1) has been observed to be smaller than the estimated value if the channel has short and wide aspect. This geometry effect can be explained by the fact that the temperature difference between  $T_2'$  and  $T_2$  is built across the channel gap (Fig.2). At  $q_\lambda$  the temperature  $T_\lambda$  near the heater side reaches the  $\lambda$ -point while  $T_2$  in the liquid on the opposite side is yet lower. This aspect ratio effect should be taken in for the estimation of stability margin of superconducting coils cooled with HeII because a large aspect ratio  $d/L$  occurs rather in the coils.

The heat transport characteristics with distributed heat source have been investigated in the framework of the Gorter-Mellink theory. A modification is required since the deviation of  $q_\lambda$  from the calculated value becomes noticeable as the aspect ratio increases. Because the heat flux  $q(x)$  (W / channel cross-sectional area) in the channel next to the heated surface depends on the distance  $x$  along the surface  $q(x)$  becomes  $Q \cdot x / (A_c \cdot L)$  where  $Q$ (W) is the total heat and  $A_c$  the cross-sectional area of the channel. By integrating the Gorter-Mellink heat conduction  $dT/dx = -f(T) q(x)^3$  from  $T_b$  to the  $\lambda$ -point,  $q_\lambda$  is given by  $q_\lambda$  (Calc.) =  $\{(L^{4/3}/4d)^3\}^{-1/3} \cdot Z(T_b)$ , where  $Z(T_b)$  is the integrated heat conductivity function. A factor  $\gamma = q_\lambda$  (Exp.) /  $q_\lambda$  (Calc.) was observed for channels with relatively short length  $L$  compared to their width  $d$ . Assuming a linear relation with constants  $a$  and  $b$ ,  $q_\lambda$  (Exp.) becomes  $q_\lambda$  (Calc.)  $\cdot \{a - b(d/L)\}$ . Thus,  $q_\lambda$  is not proportional to the channel gap width  $d$ . As seen in Fig.3, the equivalent aspect ratio  $(d/L)_{eq}$  as a function of  $d/L$  indicates how many portion of the actual channel size contributes to the heat transport.

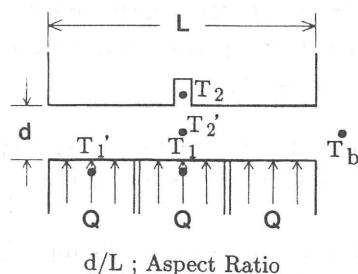


Fig.1. Channel arrangement and the positions of thermometers.

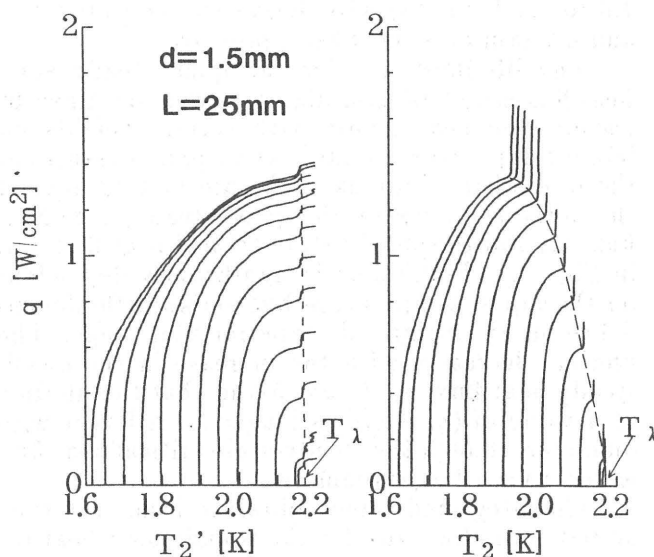


Fig.2. Temperature changes at  $T_2'$  and  $T_2$  as a function of heat flux.

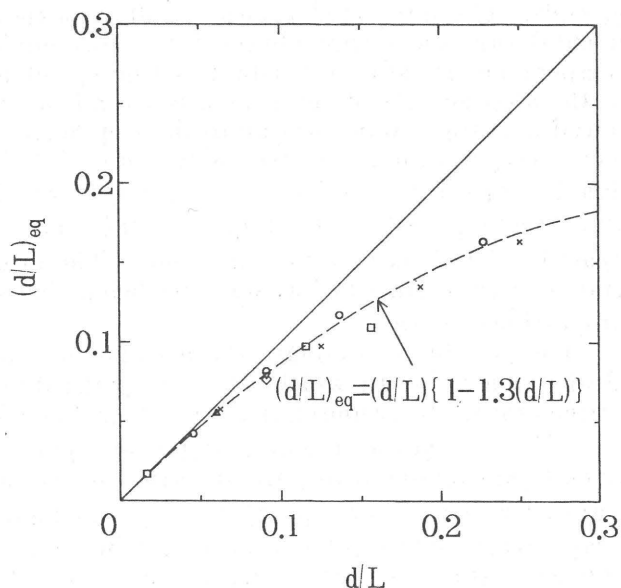


Fig.3. Equivalent aspect ratio  $(d/L)_{eq}$ .